

# Water vapor forecasting for Chilean sites

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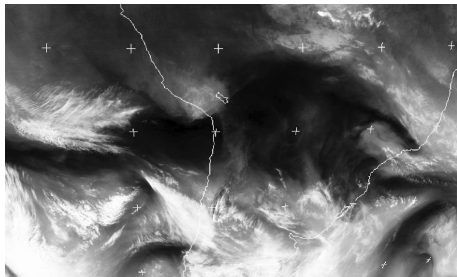
**2017 ESO Calibration Workshop, 16-19 January 2017**

- PWV forecasts from GOES satellite data
- PWV forecasts from a high-resolution numerical model
- PWV forecasts using data assimilation
- Long-term PWV forecasts

# PWV forecasts from GOES data (high-altitude sites)

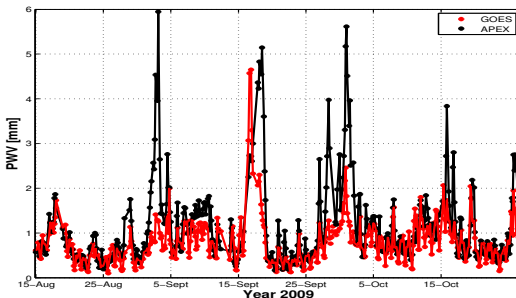
## GOES-12 channels

Channel	Central wavelength	Resolution
1 Visible	0.65 ( $\mu\text{m}$ )	1 km
2 Infrared	3.9 ( $\mu\text{m}$ )	4 km
3 Infrared	6.5 ( $\mu\text{m}$ )	4 km
4 Infrared	10.7 ( $\mu\text{m}$ )	4 km
6 Infrared	13.3 ( $\mu\text{m}$ )	8 km

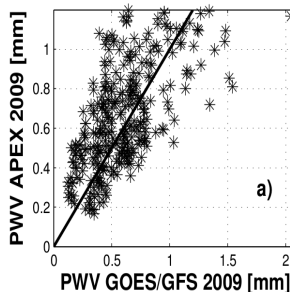


- Cloud-clearance algorithm was implemented
- $UTH = \frac{\exp(a+b \cdot Tb) \cdot \cos(\theta)}{P_o}$  (Soden and Bretherton, 1993)
- $PWV = \frac{1}{g} \int_{p1}^{p2} UTH \cdot q_{vs} dp$
- $q_{vs}$  from global analysis/forecasts

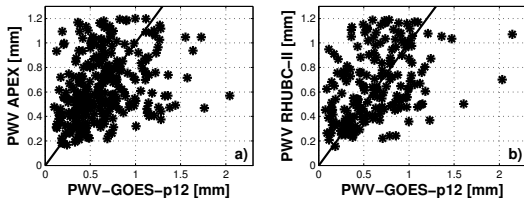
# PWV forecasts from GOES data (high-altitude sites)



- Estimated PWV from GOES/GFS reproduces well the APEX radiometer.
- PWV errors larger for high PWV and lower for low PWV



# PWV forecasts from GOES data (high-altitude sites)



- Persistence method used:
  - $PWV(t + 24h) = PWV(t)$
- PWV forecasts at 12h better than 24h forecasts

	APEX		RHUBC-II	
RMSE [mm]	12 h	24 h	12 h	24 h
[0–1.2 mm]	0.35	0.38	0.35	0.38
[0–0.4 mm]	0.25	0.27	0.24	0.29
[0.4–0.8 mm]	0.35	0.36	0.36	0.37
[0.8–1.2 mm]	0.41	0.45	0.41	0.43

	APEX		RHUBC-II	
RE [%]	12 h	24 h	12 h	24 h
[0–1.2 mm]	34.5	34.2	39.2	40.3
[0–0.4 mm]	54.0	46.5	42.8	58.4
[0.4–0.8 mm]	33.0	33.3	47.4	42.7
[0.8–1.2 mm]	32.2	34.2	30.4	29.2

# Numerical weather models

Primitive equations in a model (Eulerian representation)

## Momentum conservation

$$\frac{\partial u}{\partial t} = -u \frac{\partial u}{\partial x} - v \frac{\partial u}{\partial y} - w \frac{\partial u}{\partial z} - \frac{1}{\rho} \frac{\partial p}{\partial x} + 2\Omega v \sin(\phi) + F_x$$

$$\frac{\partial v}{\partial t} = -u \frac{\partial v}{\partial x} - v \frac{\partial v}{\partial y} - w \frac{\partial v}{\partial z} - \frac{1}{\rho} \frac{\partial p}{\partial y} - 2\Omega u \sin(\phi) + F_y$$

$$\frac{\partial w}{\partial t} = -u \frac{\partial w}{\partial x} - v \frac{\partial w}{\partial y} - w \frac{\partial w}{\partial z} - \frac{1}{\rho} \frac{\partial p}{\partial z} - g + 2\Omega u \cos(\phi) + F_z$$

## Mass conservation

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \vec{V}) = 0$$

## Energy conservation

$$\frac{\partial \theta}{\partial t} = -u \frac{\partial \theta}{\partial x} - v \frac{\partial \theta}{\partial y} - w \frac{\partial \theta}{\partial z} + S_\theta$$

## Water phase conservations

$$\frac{\partial q_n}{\partial t} = -u \frac{\partial q_n}{\partial x} - v \frac{\partial q_n}{\partial y} - w \frac{\partial q_n}{\partial z} + S_{q_n}$$

## State equation

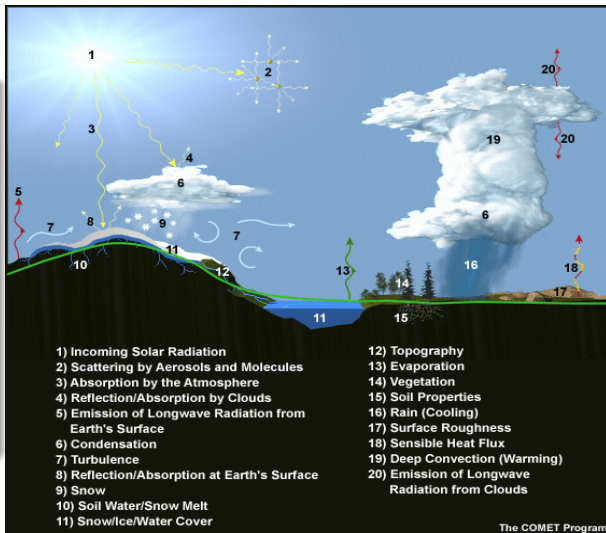
$$p = \rho R_d T_v$$

# Numerical weather models

Process and parameters that need to be parametrized

## Why to parametrize?

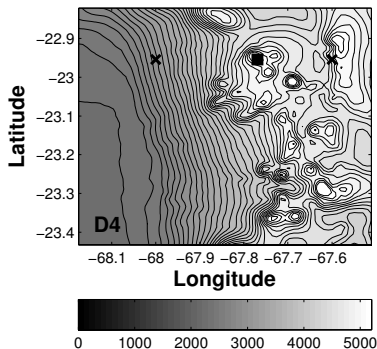
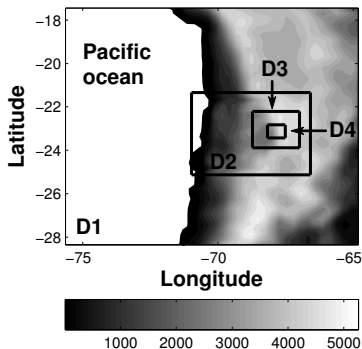
- Some processes can not be explicitly solved
- Processes we do not know very well
- Effects on forecast variables crucial for their proper prediction.



# PWV forecasts with the WRF model

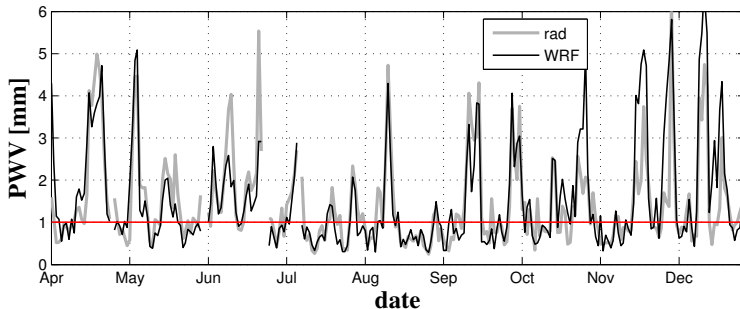
## Model configuration

- 4 domains: 27 km, 9 km, 3 km and 1 km
- 54 sigma vertical levels
- Choose longwave, shortwave radiation, cumulus, microphysics, PBL, land-surface model schemes.



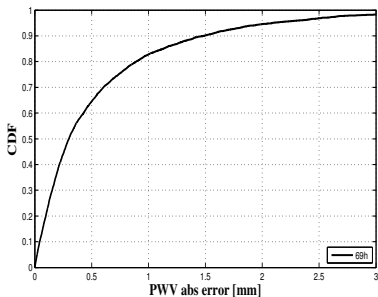
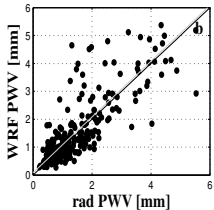
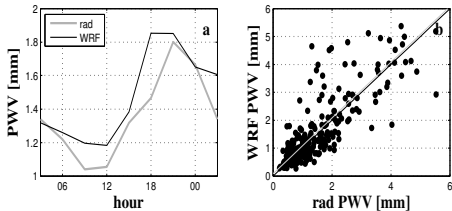


# PWV forecasts with the WRF model



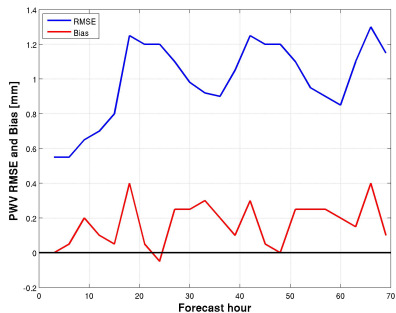
- PWV from WRF and APEX (April-December 2007).
- Good performance of WRF representing the seasonal and intraseasonal PWV evolution at Chajnantor.

# PWV forecasts with the WRF model

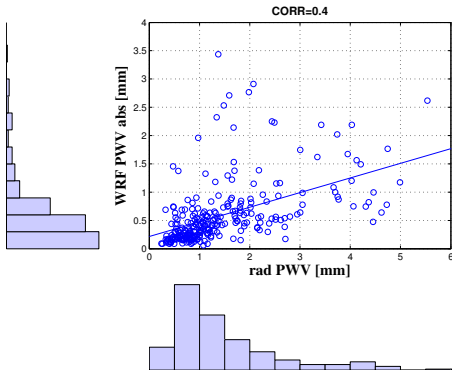


- WRF represents reasonably well the PWV diurnal evolution
- PWV is overestimated
- Errors smaller during nighttime and larger during daytime.
- 10% data with errors  $> 1.5$  mm
- 65% data with errors  $< 0.5$  mm
- 45% data with errors  $< 0.25$  mm

# PWV forecasts with the WRF model

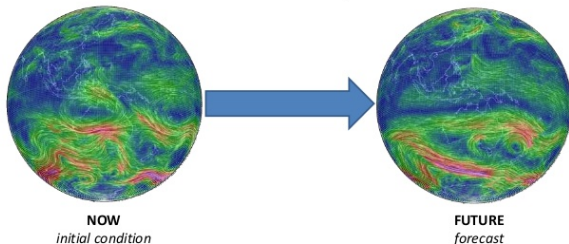


- PWV bias  $< 0.4$  mm in 0-69h
- RMSE increases from 0 to 69h
- RMSE  $< 0.75$ mm in 0-12h



- PWV bias increases when PWV increases
- PWV bias mostly  $< 1$ mm when PWV  $< 1$  mm.

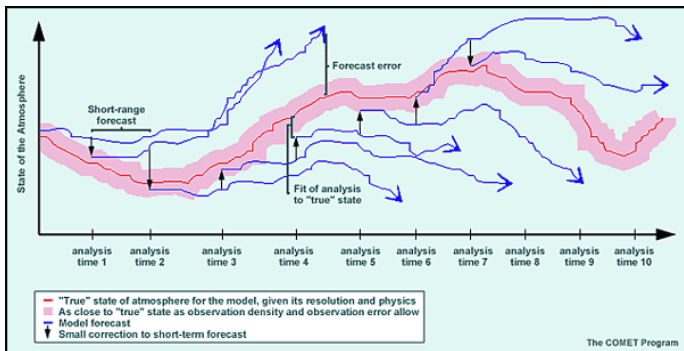
Numerical Weather Prediction (NWP)  
is an initial value problem



The role of **data assimilation** in NWP is to specify the initial condition as accurately as possible.

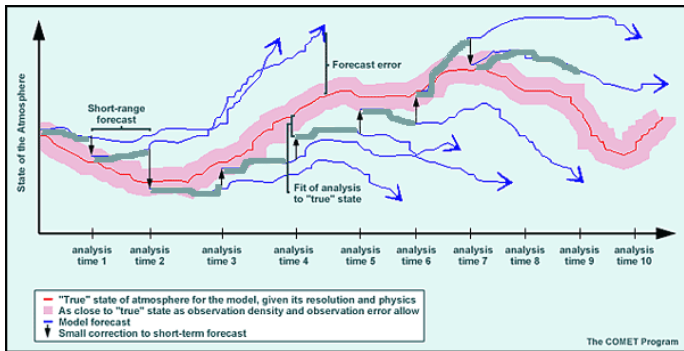
- DA used to improve the IC of numerical weather simulations
- Better ICs will result in better forecasts

# PWV forecasts with the WRF model (Data Assimilation)



- Short-range forecasts blended with observations create initial conditions
- The process can be repeated during a simulation
- Keep model forecasts close to true state

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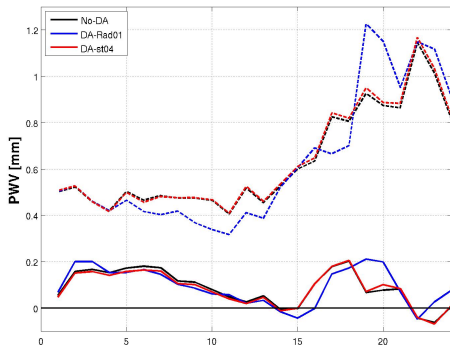
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# PWV forecasts with the WRF model (Data Assimilation)

## WRF data assimilation

- No-DA: Sim. without DA
- DA-rad01: Assimilation of satellite radiance on domain 1
- DA-st04: Assimilation of AWS data on domain 4
- 1 month simulation

## PWV RMSE and Bias [mm]

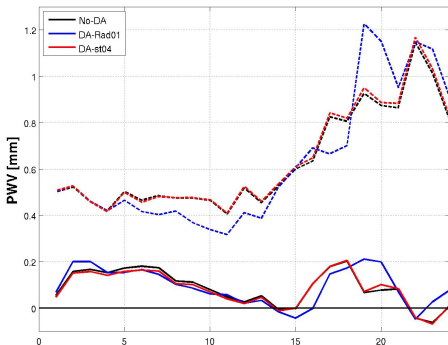


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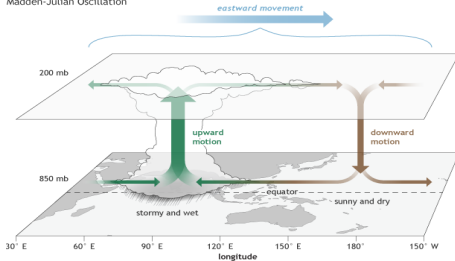


PWV forecasts improved in the first 12h of simulation.



# Intraseasonal PWV variability (MJO)

Madden-Julian Oscillation



## Madden-Julian Oscillation (MJO)

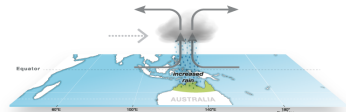
- Largest element of intraseasonal variability in tropical atmosphere
- Eastward moving pulse of clouds and precipitation
- Moves near the Equator with a period of 30-60 days

Madden-Julian Oscillation (MJO)

### Example cycle: Week 1



### Example cycle: Week 2-3

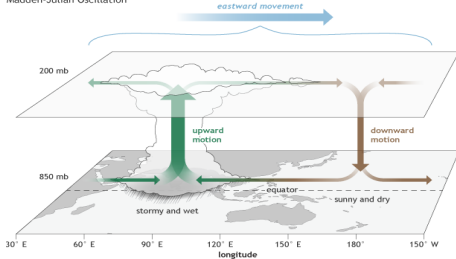


### Example cycle: Week 4-5



# Intraseasonal PWV variability (MJO)

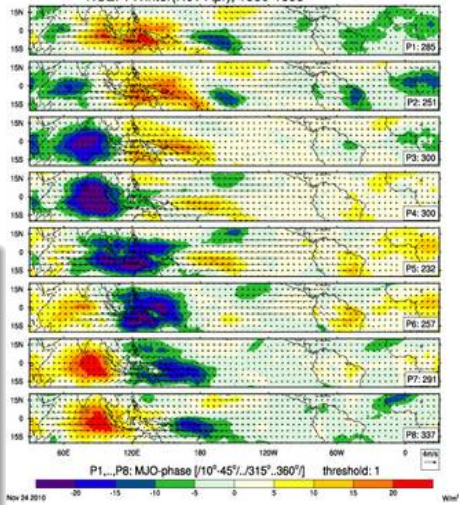
Madden-Julian Oscillation



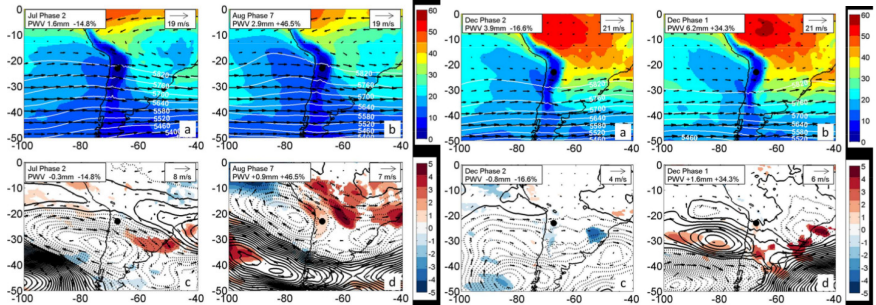
## Madden-Julian Oscillation (MJO)

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MJO-life-cycle composites: OLR and Wind(850hPa)  
NCEP: Winter(Nov-Apr), 1980-1999



# Intraseasonal PWV variability (MJO)



- Month with largest (magnitude) PWV anomaly associated with MJO phase
- Summer vs winter

# Intraseasonal PWV variability (MJO)

- MJO phases 6-8 were most associated with largest positive PWV anomalies
- MJO phases 1-3 were associated with largest negative PWV anomalies

Month	High PWV phase	Low PWV phase
January	<b>Phase 7</b>	<i>Phase 1</i>
February	<b>Phase 7</b>	<b>Phase 1</b>
March	<b>Phase 2</b>	<i>Phase 3</i>
April	<b>Phase 2</b>	<b>Phase 8</b>
May	<b>Phase 6</b>	<i>Phase 1</i>
June	<b>Phase 7</b>	<i>Phase 1</i>
July	<i>Phase 8</i>	<i>Phase 2</i>
August	<b>Phase 7</b>	<i>Phase 2</i>
September	<i>Phase 6</i>	<i>Phase 1</i>
October	<i>Phase 5</i>	<b>Phase 3</b>
November	<i>Phase 7</i>	<b>Phase 5</b>
December	<i>Phase 1</i>	<b>Phase 2</b>

- Numerical weather models are a very useful tool to forecast PWV in northern Chile
- The WRF model has shown good skill to forecast the seasonal and diurnal PWV evolution at Chajnantor region.
- Models can be used to provide 3-5 days PWV forecasts operationally
- Seasonal PWV with the WRF model will be performed and validated in the near future.