

Bordered Magic Squares Multiples of 9

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Abstract

*During past years author worked with **borderedmagic squares** of even number blocks. These are based on equal sums magic squares of orders 4, 6, 8, 10, etc. This type of work is an extension of classical bordered magic squares. In case of multiples of 4, the extension is made for **pandiagonal** magic squares [23]. For multiples of order 6 refer Taneja [24]. For the first time, we are presenting here bordered magic squares of odd number blocks. Recently, author worked on multiples of 3, 5 and 7. These are based on different sums of magic squares of order 3, 5 and 7 [29, 30, 31]. This work is for multiples of 9. This we have done with two different types of magic squares of order 9. Higher order examples can be seen in **Excel file** attached with the work. The total work is up to order 144.*

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1 Introduction

During past years author [2, 3, 4, 5, 6, 7, 8] worked with **block-wise** magic squares from orders 12 to 47. Author [9, 10, 11, 12, 13, 14] also worked with **bordered** magic squares. The study on **bordered** magic squares is extended to **block-bordered** magic squares [15, 16, 17]. This is specially done for the magic squares of orders p and $2p$, where p is a prime number. This study is still extended to **block-wise bordered** magic squares [18, 19, 20, 21]. Some connection with Pythagorean triples and area-representations are also made [23, 24, 25, 26, 27]. The main property of **bordered** magic squares is that if we remove external borders, still we get **sub-bordered** magic squares, i.e., each layer in itself lead us to magic squares. In many cases, the properties of **bordered** magic square are separated by **even** and **odd** orders magic squares. In many cases, we get good properties for the **even** order **bordered** magic squares. In some cases, we have to use fractional numbers to reach minimum perfect square sum of entries. For more study on **bordered** magic squares refer H. White’s web-site [1].

The idea of bordered magic squares is already discussed by H. White’s web-site [1] where the borders are of **single digits**. Borders multiples of even numbers starting from order 4 are done extensively by author [23, 24, 25, 26, 27, 28].

1.1 Summary of Bordered Magic Squares

1.1.1 Odd Numbers Multiples

- **Single Digit:** Bordered magic squares based on single digit [9, 10, 1].
- **Two Digits:** Bordered magic squares based on magic rectangles multiples of 2 [59, 60, 61, 62, 62, 63].
- **Three Digits:** Bordered magic squares based on magic squares of order 3 [29].
- **Five Digits:** Bordered magic squares based on magic squares of order 5 [30].
- **Seven Digits:** Bordered magic squares based on magic squares of order 7 [31].
- **Nine Digits:** Bordered magic squares based on magic squares of order 9 [32] (This work).

1.1.2 Even Numbers Multiples

- **Four Digits:** Bordered magic squares based on magic squares of order 4 [23].
- **Six Digits:** Bordered magic squares based on magic squares of order 6 [24].
- **Eight Digits:** Bordered magic squares based on magic squares of order 8 [25].
- **Ten Digits:** Bordered magic squares based on magic squares of order 10 [26].
- **Twelve Digits:** Bordered magic squares based on magic squares of order 12 [27].
- **Fourteen Digits:** Bordered magic squares based on magic squares of order 14 [28].

The advantage in working with even number multiples is that we can work equal sums blocks of magic squares.

It is revised version of author's previous work. In the previous work we worked only with two magic squares of order 9. Here are working with 11 types of magic square of order 9. The procedure, how to these bordered magic squares are obtained is also given. Higher orders examples can be seen in **Excel file** is attached with this work.

2 Bordered Magic Squares Multiples of 9

Let's consider following eleven of magic squares of order 9.

1	mgc	360	378	369	387	351	369	360	378	369
	1	18	23	35	40	48	60	65	79	369
	33	38	52	55	72	77	8	13	21	369
	62	67	75	6	11	25	28	45	50	369
	27	5	10	49	30	44	74	61	69	369
	47	34	42	81	59	64	22	3	17	369
	76	57	71	20	7	15	54	32	37	369
	14	19	9	39	53	31	70	78	56	369
	43	51	29	68	73	63	12	26	4	369
	66	80	58	16	24	2	41	46	36	369
369 369 369 369 369 369 369 369 369 369										
2	mgc	345	395	389	287	445	351	345	395	369
	8	80	78	76	75	12	14	16	10	369
	1	58	54	56	21	20	18	60	81	369
	3	17	50	53	33	35	34	65	79	369
	5	19	30	40	45	38	52	63	77	369
	73	59	31	39	41	43	51	23	9	369
	71	57	46	44	37	42	36	25	11	369
	69	55	48	29	49	47	32	27	13	369
	67	22	28	26	61	62	64	24	15	369
	72	2	4	6	7	70	68	66	74	369
369 369 369 369 369 369 369 369 369 369										
3	mgc	413	328	449	283	391	330	389	369	369
	69	16	80	12	72	17	21	56	26	369
	13	66	2	70	10	65	61	58	24	369
	73	9	38	34	51	32	50	6	76	369
	68	14	44	48	31	39	43	79	3	369
	11	71	46	36	41	52	30	7	75	369
	78	4	42	40	53	33	37	59	23	369
	19	63	35	47	29	49	45	22	60	369
	20	62	55	25	77	8	67	1	54	369
	18	64	27	57	5	74	15	81	28	369
369 369 369 369 369 369 369 369 369 369										
4	mgc	379	361	463	270	403	335	365	376	369
	69	16	80	12	72	17	21	56	26	369
	13	66	2	70	10	65	61	58	24	369
	73	9	50	53	35	33	34	6	76	369
	68	14	30	40	45	38	52	79	3	369
	11	71	46	39	41	43	36	7	75	369
	78	4	31	44	37	42	51	59	23	369
	19	63	48	29	47	49	32	22	60	369
	20	62	55	25	77	8	67	1	54	369
	18	64	27	57	5	74	15	81	28	369
369 369 369 369 369 369 369 369 369 369										

5	mgc	380	351	445	284	397	328	367	400	369
69	16	80	12	72	17	21	56	26	369	
13	66	2	70	10	65	61	58	24	369	
73	9	44	39	40	51	31	6	76	369	
68	14	37	41	45	53	29	79	3	369	
11	71	42	43	38	35	47	7	75	369	
78	4	33	34	50	36	52	59	23	369	
19	63	49	48	32	30	46	22	60	369	
20	62	55	25	77	8	67	1	54	369	
18	64	27	57	5	74	15	81	28	369	
369	369	369	369	369	369	369	369	369	369	369

6	mgc	377	283	439	445	309	353	369	377	369
38	43	42	50	32	27	55	15	67	369	
45	41	37	46	36	62	20	8	74	369	
40	39	44	49	33	26	56	80	2	369	
34	35	52	31	53	65	17	10	72	369	
48	47	30	29	51	23	59	14	68	369	
60	54	57	18	58	21	19	77	5	369	
22	28	25	64	24	63	61	81	1	369	
78	75	16	13	79	76	12	11	9	369	
4	7	66	69	3	6	70	73	71	369	
369	369	369	369	369	369	369	369	369	369	369

7	mgc	343	324	426	390	330	343	369	427	369
17	25	33	41	49	57	65	8	74	369	
56	64	23	24	32	40	48	10	72	369	
39	47	55	63	22	30	31	80	2	369	
29	37	38	46	54	62	21	15	67	369	
61	20	28	36	44	45	53	14	68	369	
51	52	60	19	27	35	43	77	5	369	
34	42	50	58	59	18	26	81	1	369	
78	75	16	13	79	76	12	11	9	369	
4	7	66	69	3	6	70	73	71	369	
369	369	369	369	369	369	369	369	369	369	369

8	mgc	417	281	449	412	300	305	369	419	369
58	54	56	21	20	18	60	15	67	369	
17	50	53	33	35	34	65	8	74	369	
19	30	40	45	38	52	63	80	2	369	
59	46	39	41	43	36	23	10	72	369	
57	31	44	37	42	51	25	14	68	369	
55	48	29	49	47	32	27	77	5	369	
22	28	26	61	62	64	24	81	1	369	
79	75	16	13	78	76	12	11	9	369	
3	7	66	69	4	6	70	73	71	369	
369	369	369	369	369	369	369	369	369	369	369

2.1 Bordered Magic Squares of Orders 144 and 135

Let's consider **bordered** magic square of orders 15 and 16 given by

15x15															1695	
	210	199	201	203	205	207	209	211	11	9	7	5	3	1	14	1695
	2	184	175	177	179	181	183	185	37	35	33	31	29	40	224	1695
	4	30	64	72	70	68	66	165	166	168	170	172	62	196	222	1695
	6	32	173	80	152	150	148	147	84	86	88	82	53	194	220	1695
	8	34	171	73	130	126	128	93	92	90	132	153	55	192	218	1695
	10	36	169	75	89	122	125	105	107	106	137	151	57	190	216	1695
	12	38	167	77	91	102	112	117	110	124	135	149	59	188	214	1695
	13	39	63	145	131	103	111	113	115	123	95	81	163	187	213	1695
	208	182	65	143	129	118	116	109	114	108	97	83	161	44	18	1695
	206	180	67	141	127	120	101	121	119	104	99	85	159	46	20	1695
	204	178	69	139	94	100	98	133	134	136	96	87	157	48	22	1695
	202	176	71	144	74	76	78	79	142	140	138	146	155	50	24	1695
	200	174	164	154	156	158	160	61	60	58	56	54	162	52	26	1695
	198	186	51	49	47	45	43	41	189	191	193	195	197	42	28	1695
	212	27	25	23	21	19	17	15	215	217	219	221	223	225	16	1695
	1695	1695	1695	1695	1695	1695	1695	1695	1695	1695	1695	1695	1695	1695	1695	1695

16x16																2056	
	241	228	230	232	251	253	255	30	28	26	24	7	5	3	1	242	2056
	23	213	202	204	206	222	224	56	54	52	50	36	34	32	214	234	2056
	21	49	189	180	182	197	199	78	76	74	61	59	57	190	208	236	2056
	18	47	73	169	162	164	176	96	94	92	82	80	170	184	210	239	2056
	17	45	70	91	153	148	159	110	108	99	97	154	166	187	212	240	2056
	12	41	69	89	106	141	138	120	118	112	142	151	168	188	216	245	2056
	10	39	64	85	105	117	136	133	124	121	140	152	172	193	218	247	2056
	8	31	62	79	100	111	122	123	134	135	146	157	178	195	226	249	2056
	235	209	185	167	150	143	125	128	129	132	114	107	90	72	48	22	2056
	237	211	186	171	155	144	131	130	127	126	113	102	86	71	46	20	2056
	238	215	191	173	156	115	119	137	139	145	116	101	84	66	42	19	2056
	243	217	192	174	103	109	98	147	149	158	160	104	83	65	40	14	2056
	244	219	194	87	95	93	81	161	163	165	175	177	88	63	38	13	2056
	246	220	67	77	75	60	58	179	181	183	196	198	200	68	37	11	2056
	248	43	55	53	51	35	33	201	203	205	207	221	223	225	44	9	2056
	15	29	27	25	6	4	2	227	229	231	233	250	252	254	256	16	2056
	2056	2056	2056	2056	2056	2056	2056	2056	2056	2056	2056	2056	2056	2056	2056	2056	2056

The entries of above two magic squares are sequential numbers starting from 1:

$$D_{15 \times 15} := \{1, 2, \dots, 224, 225\}$$

$$D_{16 \times 16} := \{1, 2, \dots, 255, 256\}$$

The property of **bordered** magic squares is that removing the upper borders still we are left with magic squares of sequential values.

Multiplying each entry of above two magic squares of orders 15 and 16 by 81, we get

15x15															137295
17010	16119	16281	16443	16605	16767	16929	17091	891	729	567	405	243	81	1134	137295
162	14904	14175	14337	14499	14661	14823	14985	2997	2835	2673	2511	2349	3240	18144	137295
324	2430	5184	5832	5670	5508	5346	13365	13446	13608	13770	13932	5022	15876	17982	137295
486	2592	14013	6480	12312	12150	11988	11907	6804	6966	7128	6642	4293	15714	17820	137295
648	2754	13851	5913	10530	10206	10368	7533	7452	7290	10692	12393	4455	15552	17658	137295
810	2916	13689	6075	7209	9882	10125	8505	8667	8586	11097	12231	4617	15390	17496	137295
972	3078	13527	6237	7371	8262	9072	9477	8910	10044	10935	12069	4779	15228	17334	137295
1053	3159	5103	11745	10611	8343	8991	9153	9315	9963	7695	6561	13203	15147	17253	137295
16848	14742	5265	11583	10449	9558	9396	8829	9234	8748	7857	6723	13041	3564	1458	137295
16686	14580	5427	11421	10287	9720	8181	9801	9639	8424	8019	6885	12879	3726	1620	137295
16524	14418	5589	11259	7614	8100	7938	10773	10854	11016	7776	7047	12717	3888	1782	137295
16362	14256	5751	11664	5994	6156	6318	6399	11502	11340	11178	11826	12555	4050	1944	137295
16200	14094	13284	12474	12636	12798	12960	4941	4860	4698	4536	4374	13122	4212	2106	137295
16038	15066	4131	3969	3807	3645	3483	3321	15309	15471	15633	15795	15957	3402	2268	137295
17172	2187	2025	1863	1701	1539	1377	1215	17415	17577	17739	17901	18063	18225	1296	137295
137295	137295	137295	137295	137295	137295	137295	137295	137295	137295	137295	137295	137295	137295	137295	137295

16x16																166536	
	19521	18468	18630	18792	20331	20493	20655	2430	2268	2106	1944	567	405	243	81	19602	166536
	1863	17253	16362	16524	16686	17982	18144	4536	4374	4212	4050	2916	2754	2592	17334	18954	166536
	1701	3969	15309	14580	14742	15957	16119	6318	6156	5994	4941	4779	4617	15390	16848	19116	166536
	1458	3807	5913	13689	13122	13284	14256	7776	7614	7452	6642	6480	13770	14904	17010	19359	166536
	1377	3645	5670	7371	12393	11988	12879	8910	8748	8019	7857	12474	13446	15147	17172	19440	166536
	972	3321	5589	7209	8586	11421	11178	9720	9558	9072	11502	12231	13608	15228	17496	19845	166536
	810	3159	5184	6885	8505	9477	11016	10773	10044	9801	11340	12312	13932	15633	17658	20007	166536
	648	2511	5022	6399	8100	8991	9882	9963	10854	10935	11826	12717	14418	15795	18306	20169	166536
	19035	16929	14985	13527	12150	11583	10125	10368	10449	10692	9234	8667	7290	5832	3888	1782	166536
	19197	17091	15066	13851	12555	11664	10611	10530	10287	10206	9153	8262	6966	5751	3726	1620	166536
	19278	17415	15471	14013	12636	9315	9639	11097	11259	11745	9396	8181	6804	5346	3402	1539	166536
	19683	17577	15552	14094	8343	8829	7938	11907	12069	12798	12960	8424	6723	5265	3240	1134	166536
	19764	17739	15714	7047	7695	7533	6561	13041	13203	13365	14175	14337	7128	5103	3078	1053	166536
	19926	17820	5427	6237	6075	4860	4698	14499	14661	14823	15876	16038	16200	5508	2997	891	166536
	20088	3483	4455	4293	4131	2835	2673	16281	16443	16605	16767	17901	18063	18225	3564	729	166536
	1215	2349	2187	2025	486	324	162	18387	18549	18711	18873	20250	20412	20574	20736	1296	166536
	166536	166536	166536	166536	166536	166536	166536	166536	166536	166536	166536	166536	166536	166536	166536	166536	166536

In this case, the entries distributions of these two magic squares are given by

$$D_{15 \times 15} := \{81, 162, \dots, 18144, 18225\}$$

$$D_{16 \times 16} := \{81, 162, \dots, 20655, 20736\}.$$

Let's replace each entry in above two magic squares of orders 15 and 16 by above two magic squares of order 9. The entries chosen in these magic squares is as given below:

$$\begin{aligned} 81 &\rightarrow 1, 2, \dots, 81 \\ 162 &\rightarrow 82, 83, \dots, 162 \\ 249 &\rightarrow 163, 164, \dots, 249 \\ &\dots \rightarrow \dots \dots \\ 20655 &\rightarrow 20575, 20576, \dots, 20655 \\ 20736 &\rightarrow 20656, 20657 \dots, 20736 \end{aligned}$$

This lead us to two big **block-bordered** magic squares of orders 135 and 144. Since these two magic squares are very big, these are given in **excel file** attached with this work.

2.2 Magic Squares of Order 45

Below are three magic squares of order 45 obtained from magic squares of order 135. It is obtained by the application of the formula $\frac{a^2 - b^2}{2}$, $a > b$, i.e., subtract $\frac{135^2 - 45^2}{2} := 8100$ from each entry of magic squares order 135, are left with magic squares of order 45:

11	mgc	24718	26122	26958	28250	30122	31470	32418	33366	35010	33790	32602	30846	29546	28826	27582	25938	24294	23346	22126	20938	19182	17882	17162	15918	14274	12630	11682	13054	14458	15294	16586	18458	19806	20754	21702	23346
1277	1251	1237	1249	1266	1268	1244	1287	1225	1034	1008	994	1006	1023	1025	1001	1044	982	305	279	265	277	294	296	272	315	253	62	36	22	34	51	53	29	72	10	23346	
1235	1261	1275	1263	1246	1272	1240	1282	1230	992	1018	1032	1020	1003	1029	997	1039	987	263	289	303	291	274	300	268	310	258	20	46	60	48	31	57	25	67	15	23346	
1247	1265	1255	1260	1253	1264	1248	1217	1295	1004	1022	1012	1017	1010	1021	1005	974	1052	275	293	283	288	281	292	276	245	323	32	50	40	45	38	49	33	2	80	23346	
1239	1273	1254	1256	1258	1234	1278	1289	1223	996	1030	1011	1013	1015	991	1035	1046	980	267	301	282	284	286	262	306	317	251	24	58	39	41	43	19	63	74	8	23346	
1238	1274	1259	1252	1257	1242	1270	1283	1229	995	1031	1016	1009	1014	999	1027	1040	986	266	302	287	280	285	270	298	311	257	23	59	44	37	42	27	55	68	14	23346	
1280	1232	1233	1269	1262	1245	1271	1220	1292	1037	989	990	1026	1019	1002	1028	977	1049	308	260	261	297	290	273	299	248	320	65	17	18	54	47	30	56	5	77	23346	
1276	1236	1279	1243	1250	1267	1241	1216	1296	1033	993	1036	1000	1007	1024	998	973	1053	304	264	307	271	278	295	269	244	324	61	21	64	28	35	52	26	1	81	23346	
1221	1219	1281	1284	1218	1222	1285	1286	1288	978	976	1038	1041	975	979	1042	1043	1045	249	247	309	312	246	250	313	314	316	6	4	66	69	3	7	70	71	73	23346	
1291	1293	1231	1228	1294	1290	1227	1224	1226	1048	1050	988	985	1051	1047	984	981	983	319	321	259	256	322	318	255	252	254	76	78	16	13	79	75	12	9	11	23346	
143	117	103	115	132	134	110	153	91	224	198	184	196	213	215	191	234	172	1115	1089	1075	1087	1104	1106	1082	1125	1063	1196	1170	1156	1168	1185	1187	1163	1206	1144	23346	
101	127	141	129	112	138	106	148	96	182	208	222	210	193	219	187	229	177	1073	1099	1113	1101	1084	1110	1078	1120	1068	1154	1180	1194	1182	1165	1191	1159	1201	1149	23346	
113	131	121	126	119	130	114	83	161	194	212	202	207	200	211	195	164	242	1085	1103	1093	1098	1091	1102	1086	1055	1133	1166	1184	1174	1179	1172	1183	1167	1136	1214	23346	
105	139	120	122	124	100	144	155	89	186	220	201	203	205	181	225	236	170	1077	1111	1092	1094	1096	1072	1116	1127	1061	1158	1192	1173	1175	1177	1153	1197	1208	1142	23346	
104	140	125	118	123	108	136	149	95	185	221	206	199	204	189	217	230	176	1076	1112	1097	1090	1095	1080	1108	1121	1067	1157	1193	1178	1171	1176	1161	1189	1202	1148	23346	
146	98	99	135	128	111	137	86	158	227	179	180	216	209	192	218	167	239	1118	1070	1071	1107	1100	1083	1109	1058	1130	1199	1151	1152	1188	1181	1164	1190	1139	1211	23346	
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Above there are only three examples of magic squares of order 27. The other 8 examples are given in **excel file** attached with the work.

3 Author’s Contribution to Recreation of Numbers and Magic Squares

- Inder J. Taneja, Recreation of Numbers - <https://numbers-magic.com/?p=671>.
- Inder J. Taneja, Magic Squares - <https://numbers-magic.com/?cat=3>.

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• Block-Wise Magic Squares

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• Bordered Magic Squares

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- [10] **Inder J. Taneja**, Symmetric Properties of Nested Magic Squares, **Zenodo**, June 29, 2019, pp. 1-55, <http://doi.org/10.5281/zenodo.3262170>.
- [11] **Inder J. Taneja**, General Sum Symmetric and Positive Entries Nested Magic Squares, **Zenodo**, July 04, 2019, pp. 1-55, <http://doi.org/10.5281/zenodo.3268877>.
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