# Webinar Acoustic Monitoring Experimental evaluation of hydro-acoustic models and inversion methods in rivers

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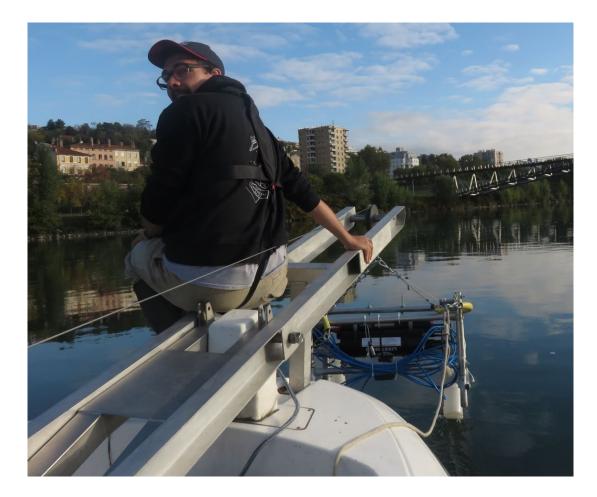
RÉPUBLIQUE

FRANCAISE

Céline Berni as well as Adrien Vergne, Jérôme Le Coz and Brahim Moudjed INRAE, Riverly, FRANCE



# Mainly PhD's work of Adrien Vergne



Co supervised with Jérôme Le Coz

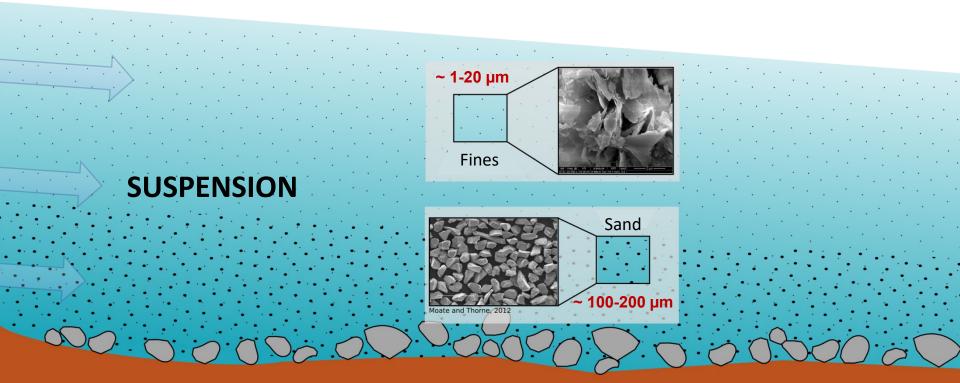


Followed by developments of Brahim Moudjed



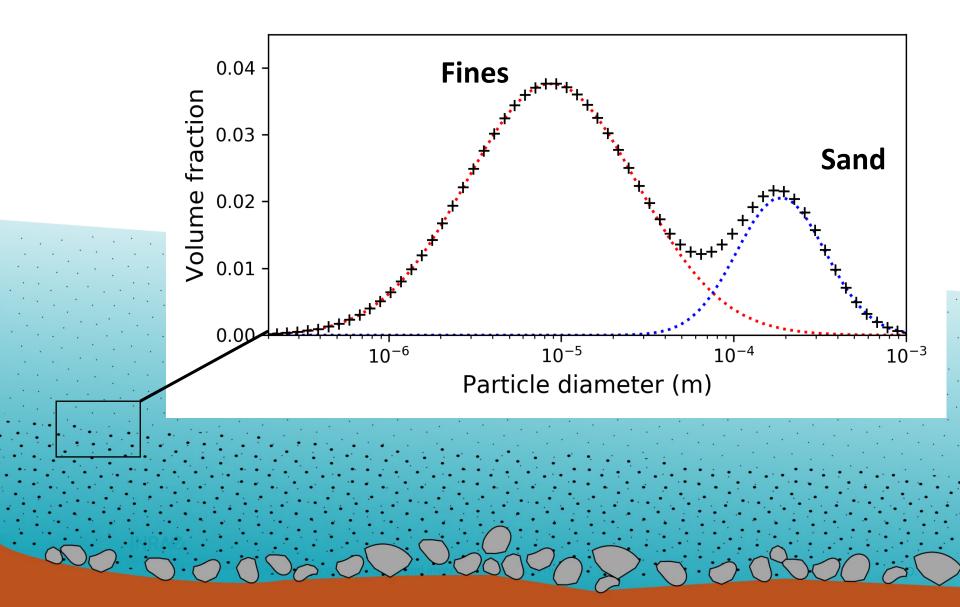
### INRAe

# > Suspended sediments in rivers



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# > Bimodal distribution of sediments



# Suspended sediments

Flux of suspended sediments in the Rhône River : ~ 16 Mt/year (Provansal et al., 2014)

# **Human impacts**

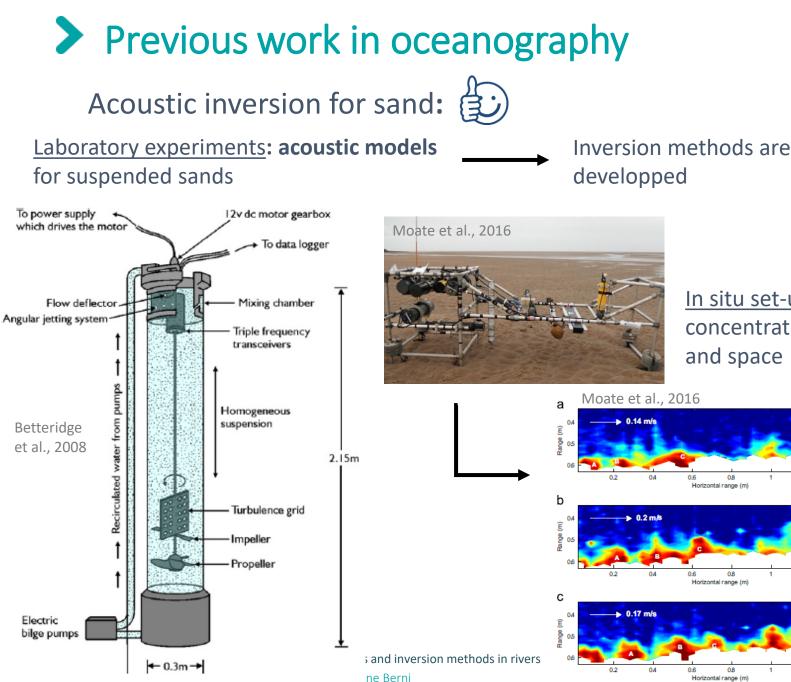
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- Hydraulic structures
- Change of land-use

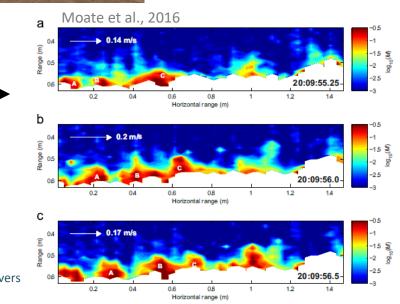
Need to quantify suspended sediment fluxes: both **fines and sand** 

# <u>Issues</u>

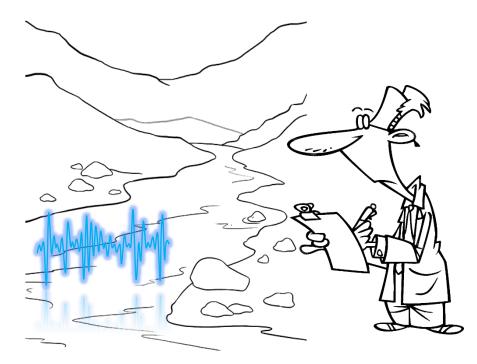
- Ecosystem habitats
- Flooding (fine sediment accumulation, plants growth ...)
- Sedimentation in reservoirs
- Pollutants diffusion (PCB, pesticides, ...)
- Erosion (shoreline)



# In situ set-up: concentration vs time and space



# What about rivers?

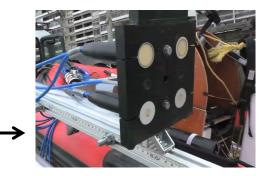


### INRAe

# Preliminary measurements in rivers

# Can we use « ocean models » for rivers?





Measurement of backscatter with an acoustically calibrated multi-frequency ABS

**Samples** 



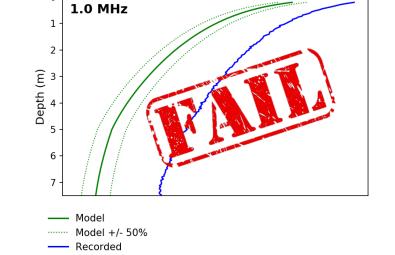
Acoustic model

$$V_{rms} = \frac{\Re\sqrt{s_v}}{\psi r} e^{-2\alpha r}$$
(Thorne et Hurther, 2014)  

$$\alpha_s = \frac{3M \int_0^\infty a^2 (\chi_{sv} + \chi_{ss})n(a)da}{4\rho_s \int_0^\infty a^3 n(a)da}$$

$$s_v = \frac{3}{16\pi} K^2 M$$

$$K = \left[\frac{\int_0^\infty a^2 f_\infty^2(a)n(a)da}{\rho_s \int_0^\infty a^3 n(a)da}\right]^{1/2}$$



Sonar (Volts)

10-2

10-3

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 $10^{-1}$ 



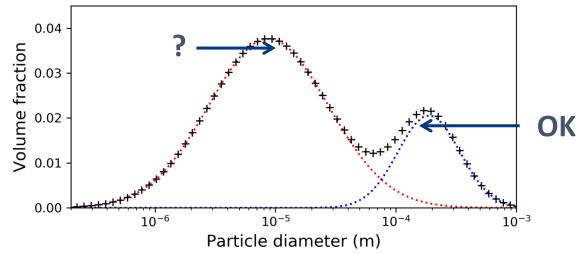


- Possible answers:
  - Previous models does not apply to **fine sediments**?
  - Other scatterers (bubbles, agregates, ...) exists?
- When can we nevertheless measure suspended sediment concentration in rivers from backscatter?





### In rivers: bimodal distribution



• Sand acoustic backscatter is well known.

(Sheng et Hay, 1988 ; Hay, 1991 ; Hay et Sheng, 1992 ; Thorne et al., 1993, Thorne et Buckingham, 2004 ; Thorne et Meral, 2008 ; Moate et Thorne, 2012)

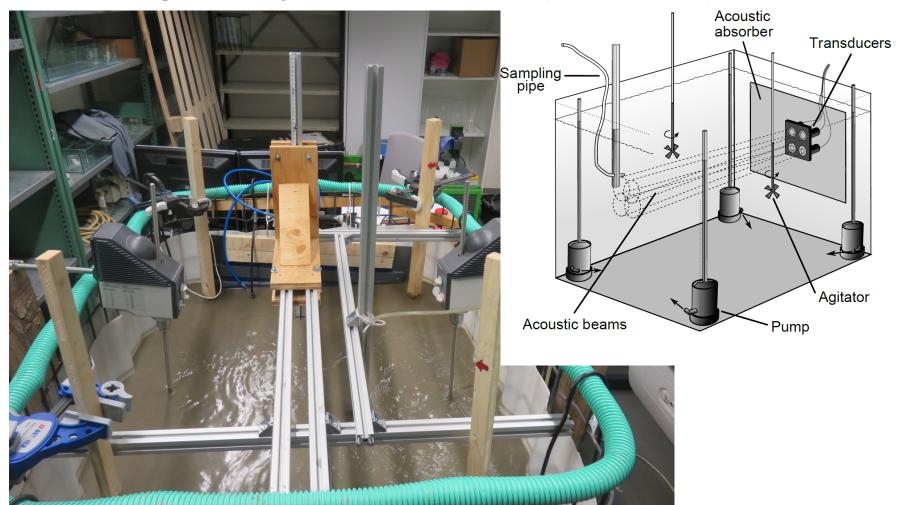
 But only a few studies were dedicated to fine sediment backscatter (Urick, 1948; Richards et al., 2003)

# $\rightarrow$ Laboratory experiments with river fine sediments

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## Homogeneous suspension of fine sediments (stable with time)



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# Acoustic measures: attenuation ( $\alpha_s$ ) and backscatter ( $s_v$ )



### INRAe

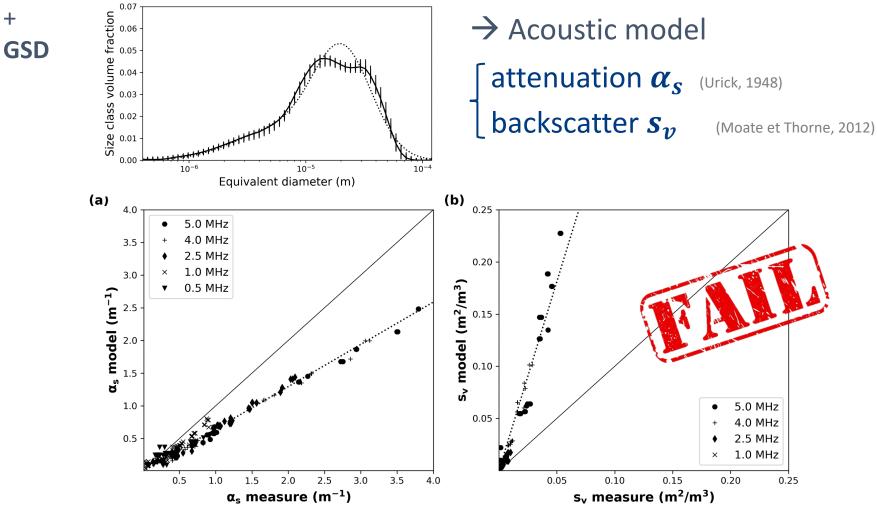


# Samples : concentration (filtration) and grain size distribution (laser) measurements



# > Does previous models apply to fine sediments?

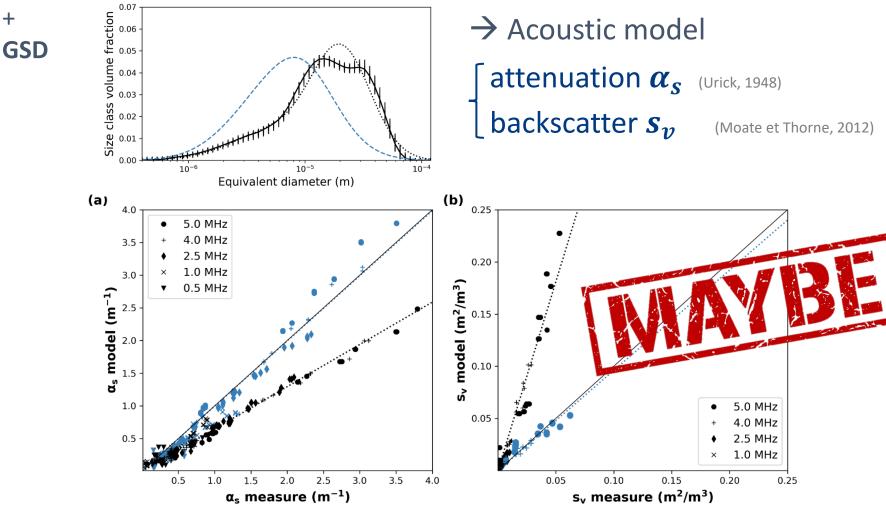
# concentration



### INRA

# > Does previous models apply to fine sediments?

# concentration



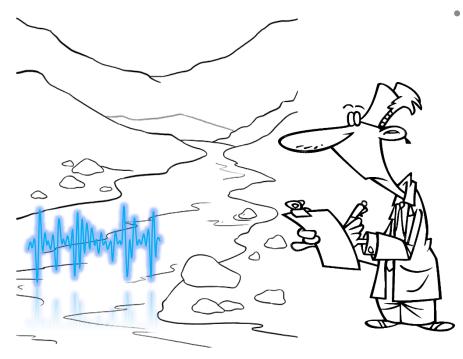
### INRA

# What about rivers?

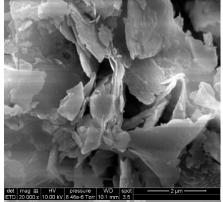
Acoustic backscatter in rivers is significantly different from what acoustic models predicts

It can be partly due to fine sediment response

- Difficulties in applying spherical models
- What is the representative diameter ?



Adjusting it, we can get concentration from acoustic signal

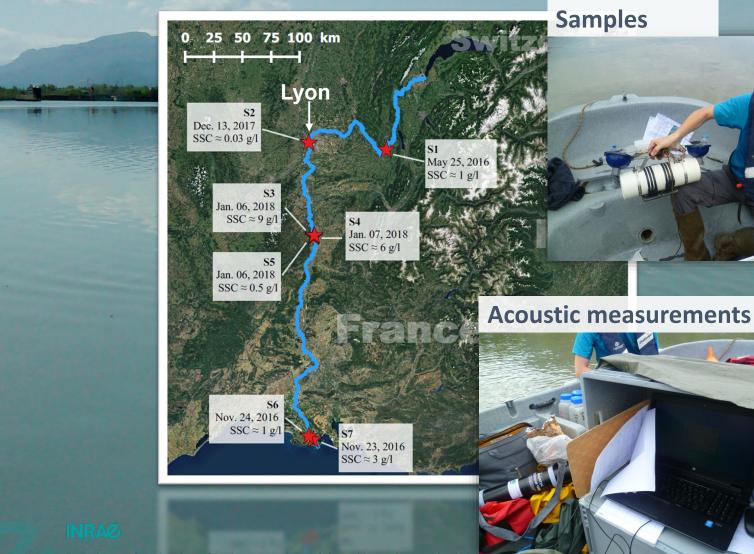


[Vergne A., Berni C., Le Coz J., et F. Tencé. Acoustic backscatter and attenuation due to riverine sediments: experimental evaluation of models and inversion methods. *Water Resources Research*, 2021]

Can it explain all?

### INRA@





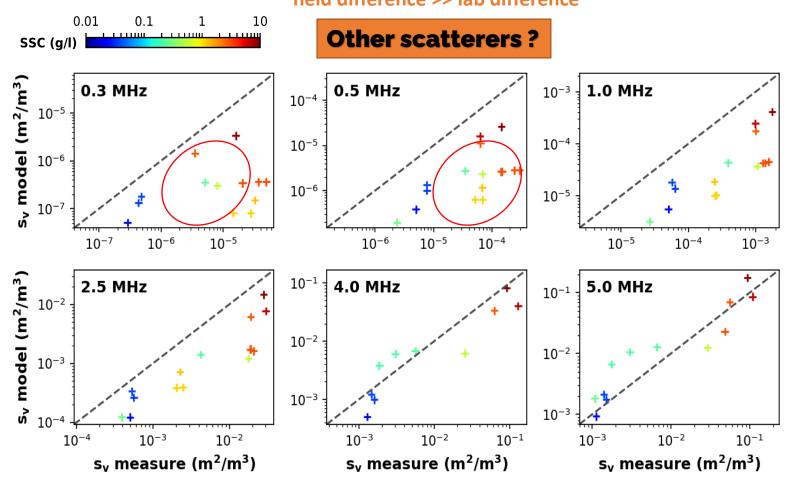
Experimental evaluation of hydro-acoustic models and inversion methods in

# > Near surface backscatter

**Comparison**  $S_v$  **measured** (near surface) **VS.**  $S_v$  **model** (surface sample)

(Moate et Torne, 2012)

-  $s_v$  model **lower** than measured for freq.  $\leq$  2,5 MHz : error = **up to 100!** field difference >> lab difference



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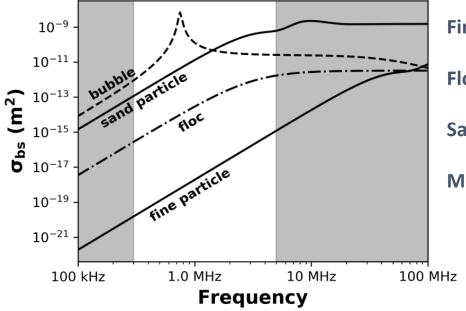


- There should be other scatterers in rivers than sediments.
- It could be:
  - Aggregates?

- Turbulence?

- Air micro-bubbles?

- Micro-organisms?
- Some backscatter estimates vs frequency



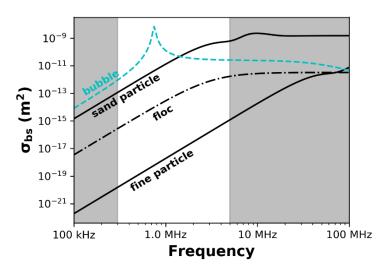


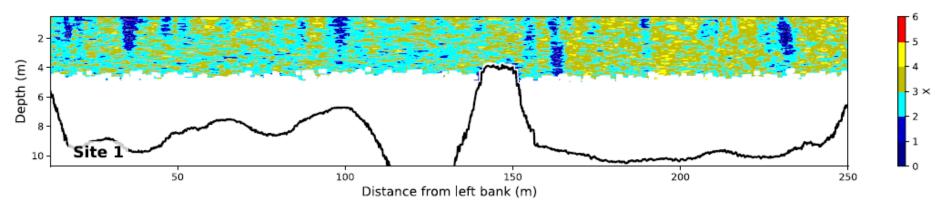
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- Different behaviors of bubbles vs sediment as a function of frequency.
- X such as  $s_v \propto f^X$
- Sediments:  $X \approx 4$





- Vertical patches with  $X \approx 0$ 
  - Bubbles



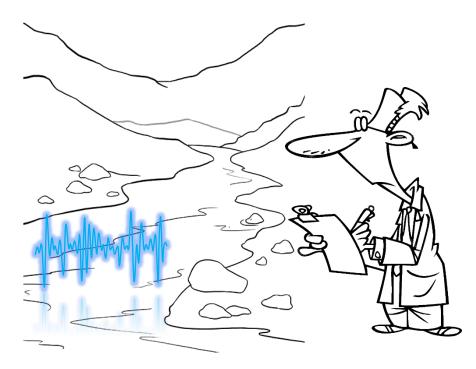
[Vergne, A., LeCoz, J., Berni, C. & Pierrefeu, G. (2020). Using a down-looking multifrequency acoustic backscatter system (ABS) for measuring suspended sediments in rivers. *Water Resources Research*, *56*]

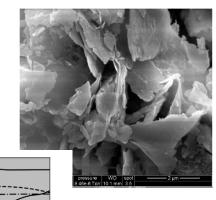
# What about rivers?

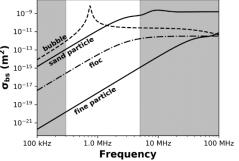
Acoustic backscatter in rivers is significantly different from what acoustic models predicts

It can due to

- Fine sediment response
- Other scatterers (bubbles, flocs, ...)







# Can we still use acoustic for concentration measurements ?

### INRAe



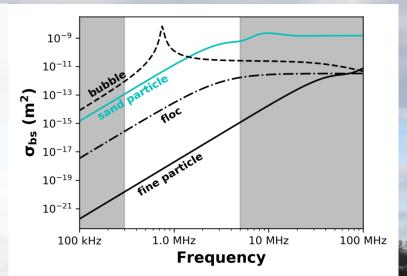
when everything is fine...

# **Assumptions**:

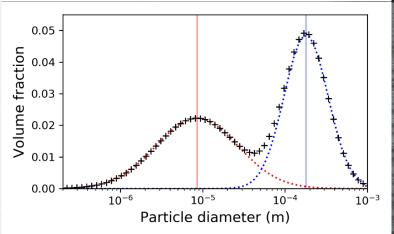
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- Enough sand: it dominates scatter
- Enough fines: it dominates attenuation



- Fines GSD is homogeneous in the section
- Sand GSD is homogeneous in the section
- Both **sand** and **fine concentrations** can **vary** within the section





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Near bed samples with a large concentration of sand (+ samples above it)

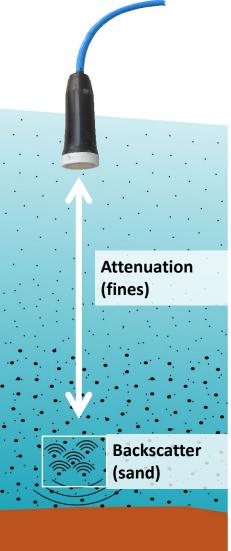




- Near bed samples with a large concentration of sand (+ samples above it)
- $s_v$  model for the near bed sample (sand dominates)
- **Attenuation** coefficient  $\zeta = \alpha_s / M$  estimates (assuming fine GSD constant  $\rightarrow \zeta$  constant)
- Apply **bi-frequency inversion method** from Hurther et al. (2011)
- → estimate of sand concentration everywhere in the section
- → Attenuation in the section, and then fines concentration

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- Near bed samples with a large concentration of sand (+ samples above it)
  - $s_v$  model for the near bed sample (sand dominates)

$$k_{s} = \left[\frac{\int_{0}^{\infty} a^{2} f_{\infty}^{2}(a) n(a) da}{\int_{0}^{\infty} a^{3} n(a) da}\right]^{1/2} s_{v} = \frac{3}{16 \pi} k_{s}^{2} M_{s}$$

- **Attenuation** coefficient  $\zeta = \alpha_s / M$  estimates (assuming fine GSD constant  $\rightarrow \zeta$  constant)

$$\zeta = \alpha_s / \left[ \left( \frac{1}{r_s} \right) \int_0^{r_s} M_f(r) dr \right]$$

- Apply **bi-frequency inversion method** from Hurther et al. (2011)

$$J = \frac{3 \overline{V^2} r^2}{16\pi k_t^2} \quad s_v = VBI \times f^X = J e^{4r(\alpha_s + \alpha_w)} \quad X = \frac{\log_e\left(\frac{S_{v,1}}{S_{v,2}}\right)}{\log_e\left(\frac{f_1}{f_2}\right)}$$
$$\log_e(VBI \times f^X) = \log_e(J e^{4r\alpha_w}) + 4\zeta \int_0^r M_f dr$$
$$\log_e(VBI) = \frac{\zeta_2 \log_e(J_1 e^{4r\alpha_{w,1}}/f_1^X) - \zeta_1 \log_e(J_2 e^{4r\alpha_{w,2}}/f_2^X)}{\zeta_2 - \zeta_1}$$

 $\rightarrow$  estimate of sand concentration everywhere in the section

$$M_{s} = \frac{16\pi \times VBI \times f^{X}}{3k_{s}^{2}}$$

 $\rightarrow$  Attenuation in the section, and then **fines concentration** 

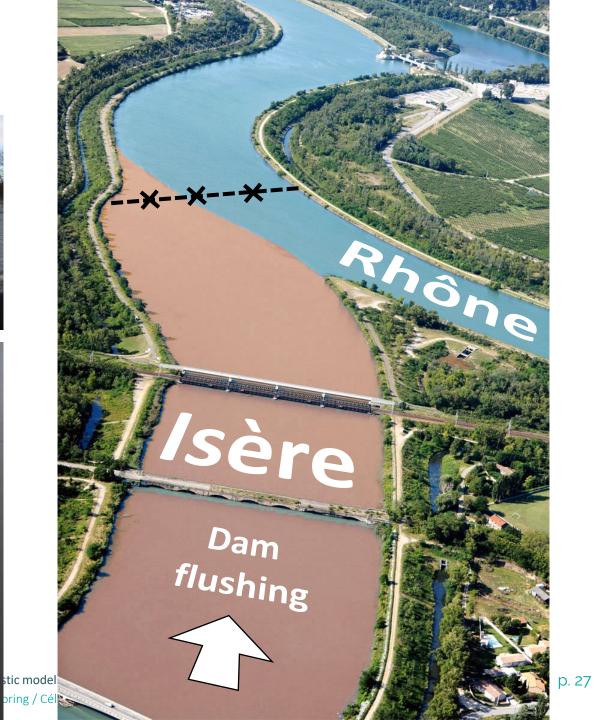
$$M_f = \frac{1}{\zeta} \times \left[ \log_e \left( \frac{VBI \times f^X}{J} \right) - \alpha_w \right] \quad \text{p. 26}$$

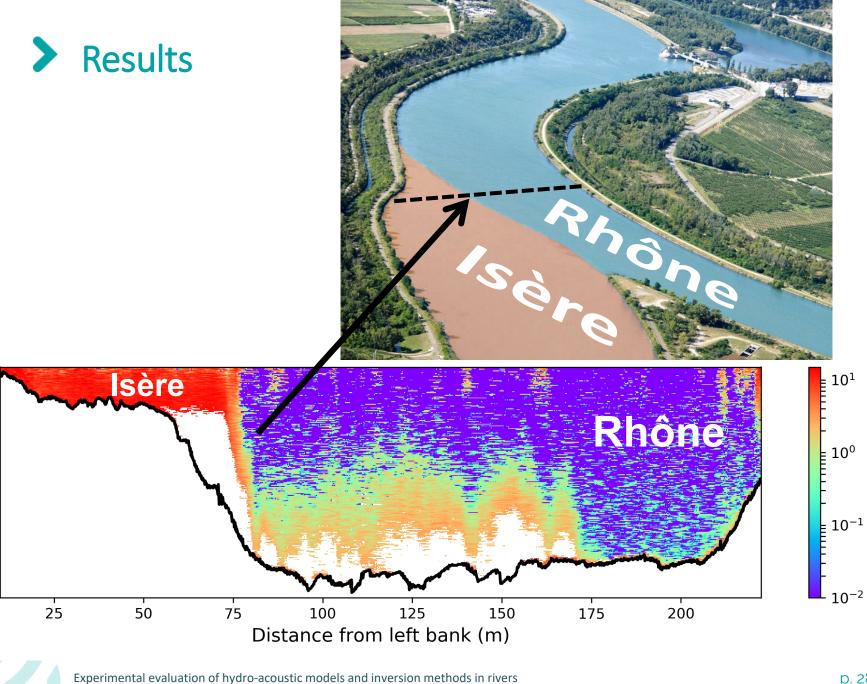
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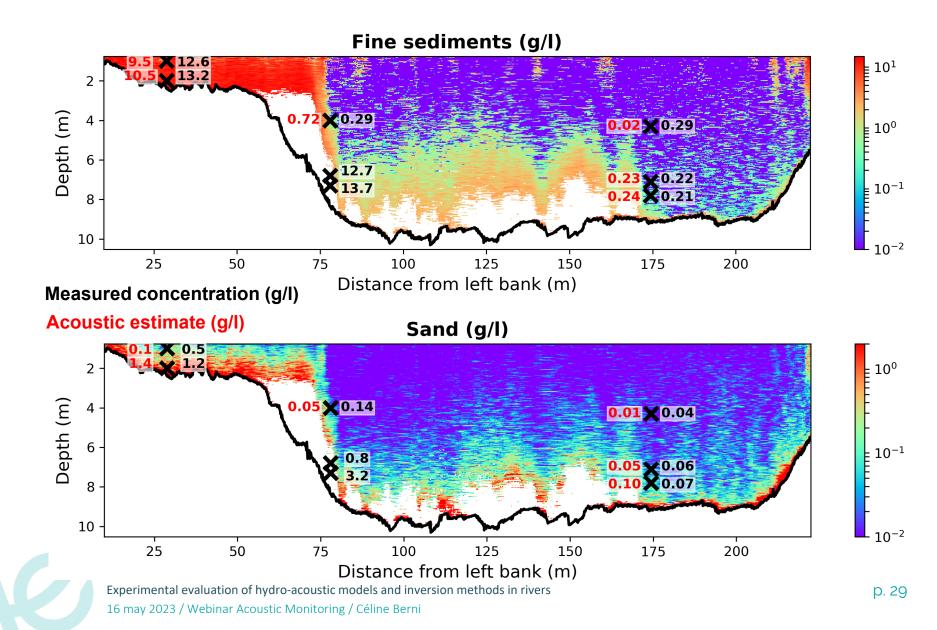


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Depth (m)

p. 28





# > Inversion can work

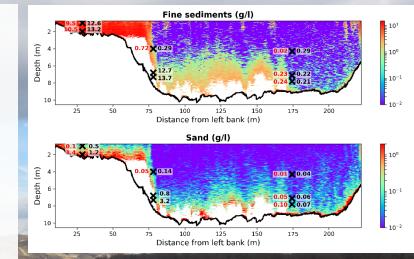
when everything is fine...

# Assumptions:

- Enough sand: it dominates scatter
- Enough fines: it dominates attenuation
- Fines GSD is homogeneous in the section
- Sand GSD is homogeneous in the section
- Both sand and fine concentrations can vary within the section

### Data:

- Calibration samples
- Multi-frequency calibrated ABS



## But it might be not so easy...

$$s_{v} = \frac{3}{16\pi} k_{s}^{2} M_{s} \quad s_{v} = VBI \times f^{X} = J e^{4r(\alpha_{s} + \alpha_{w})}$$

$$k_{s} = \left[\frac{\int_{0}^{\infty} a^{2} f_{\infty}^{2}(a)n(a)da}{\int_{0}^{\infty} a^{3}n(a)da}\right]^{1/2} \quad \zeta = \alpha_{s} / \left[\left(\frac{1}{r_{s}}\right)\int_{0}^{r_{s}} M_{f}(r)dr\right]$$

$$X = \frac{\log_{e}\left(\frac{S_{v,1}}{S_{v,2}}\right)}{\log_{e}\left(\frac{f_{1}}{f_{2}}\right)} \quad J = \frac{3\overline{V^{2}}r^{2}}{16\pi k_{t}^{2}} \qquad M_{s} = \frac{16\pi \times VBI \times f^{X}}{3k_{s}^{2}}$$

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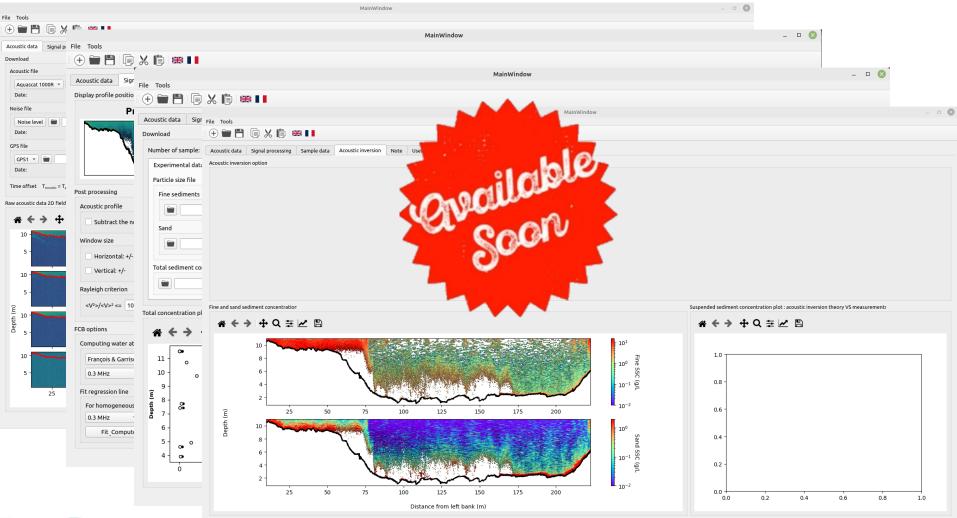
A software to help with the inversion

- 4 main tabs
  - Acoustic data
    - Preview of the raw data + SNR
    - Help in sample positioning
  - Signal Processing
    - Filtering / averaging / visualisation of a single profile
    - FCB computation (backscatter corrected from water attenuation)
  - Sample data
    - Visualisation of concentration and GSD of samples
    - Selection of samples for calibration
  - Acoustic inversion
    - Visualisation of distribution of concentrations in the section.



# > On going work

# A software to help with the inversion



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# Thank you for listening

Vergne A., Berni C., Le Coz J., et F. Tencé. Acoustic backscatter and attenuation due to riverine sediments: experimental evaluation of models and inversion methods. Water Resources Research, 2021.

Vergne, A., LeCoz, J., Berni, C. & Pierrefeu, G. Using a down-looking multifrequency acoustic backscatter system (ABS) for measuring suspended sediments in rivers. Water Resources Research, 56, 2020.

A. Vergne, C. Berni and J. Le Coz. Sound scattering in rivers: limitations of the solid particle theory. Water Resources Research, Under Review.





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