



## LOGICAL PROBABILITY

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Conditions are being created for the further development of science, including the science of mathematics, in particular probability theory and Mathematical Statistics and mathematical logic, the wide involvement of talented and talented young people in scientific activities, the realization of their creative and intellectual potential.

Below, with probability theory, we would like to use the "encounter" of mathematical logic theory at "boundary" points to apply them to relay-contact circuits (RCC). To state such proportionality:

Probability theory  $A_1, A_2, \dots$  incidents

$A_1, A_2, \dots$  considerations in mathematical logic

$A_1, A_2, \dots$  connectors at RCC call it

$P(A)$  – A probability of an incident and

$$0 \leq P(A) \leq 1$$

is the dimensional function in the range.

Also, A reasoning {0,1}, (0 false, 1 true) takes a value from a two element set.

Some issues can be solved by applying RCC using elements of probability theory and mathematical logic theory.

**Probleme.** The following three connector schemes are given. One scheme of 3 was taken at risk. Find the probability that the current (energy) will pass according to the scheme taken at this risk.

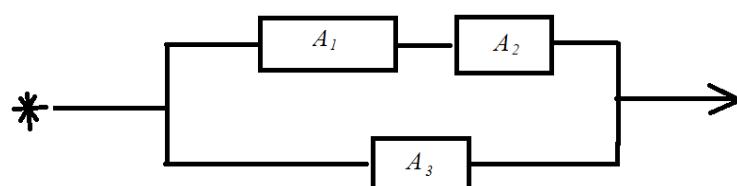


I.



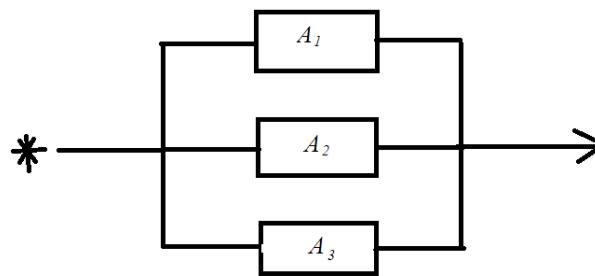
Sequential scheme

II.



Mixed scheme

III.



Parallel scheme

there can be no other option than schemes I,II,III

Solution 1. We use the conditional probability formula.

To let the transition Event  $B$  be,

$$B = A_1 B + A_2 B + A_3 B$$

$$P(B) = \sum_{i=1}^3 BA_i$$

Total number of chance  $2^3 = 8$ .

$$P(B) = P(B | A_1)P(A_1) + P(B | A_2)P(A_2) + P(B | A_3)P(A_3) =$$

$$= \frac{1}{8} \cdot \frac{1}{3} + \frac{5}{8} \cdot \frac{1}{3} + \frac{7}{8} \cdot \frac{1}{3} = \frac{1}{3} \cdot \frac{13}{8} = \frac{13}{24}.$$

Solution 2. With mathematical logic, it is also possible to find the probability of a current transition from schemes I, II, III, even with a table of rostness, in which the 0 – current tok "does not pass", the 1 – current tok denotes the concept of "passes".

The logical formulas for RCC I, II, and III would be:

$$\text{I. } U_1(A_1, A_2, A_3) = (A_1 \wedge A_2 \wedge A_3)$$

$$\text{II. } U_2(A_1, A_2, A_3) = (A_1 \wedge A_2) \vee A_3$$

$$\text{III. } U_3(A_1, A_2, A_3) = (A_1 \vee A_2 \vee A_3)$$

We make a table of truth to these formulas:

$A_1$	$A_2$	$A_3$
0	0	0
0	0	1
0	1	0
1	0	0
1	0	1
1	1	0
0	1	1
1	1	1

for  $U_1$

$A_1 \wedge A_2$	$A_1 \wedge A_2 \wedge A_3$
0	0
0	0
0	0
0	0
1	0
0	0
0	0
1	1

1/8

for  $U_2$

$A_1 \wedge A_2$	$A_1 \wedge A_2 \vee A_3$
0	0
0	1
0	0
1	0
0	1
0	1
1	1
1	1

5/8

for  $U_3$

$A_1 \vee A_2$	$A_1 \vee A_2 \vee A_3$
1	1



0	0
0	1
1	1
1	1
1	1
1	1
1	1
1	1

7/8

Accordingly, I- probability of energy transition from the scheme is 1/8,

II- probability of energy transition from the scheme is 5/8

III- probability of energy transition from the scheme is 7/8

The probability that energy will not pass is  $P(\bar{T}) = 1 - P(T)$  respectively 7/8, 3/8

and equal to 1/8

### References:

1. С.Х.Сирохиддинов, М.Маматов. Эҳтимоллар назарияси ва математик статистика. Т.1980
2. В.И.Игошин. Математическая логика и теория алгоритмов. Саратов, 1991.
3. Т.Ёқубов. Математик логика элементлари. Тошкент. 1983.
4. Л.А.Калужнин. Что такое математическая логика? Москва. 1964.
5. А.Н.Колмогоров, А.Г.Драгалин. Введение в математическую логику. Москва. 1982
6. И.Нематов. Дискрет математика ва математик логика элементлари. Фергана, 1999.
7. И.А.Лавров, Л.Л.Максимова. Задачи по теории множеств, математической логике и теории алгоритмов. Москва, 1975.
8. Л.М.Лихтарников, Т.Г.Сикачёва. Математическая логика. Задачник-практикум и решения. С.Петербург. 1999.



9. Raximovich, K. K., & Shokirjon o'g'li, T. T. (2022). OJ-ALGEBRA OF MEASURABLE ELEMENTS WITH RESPECT TO A SUBADDITIVE MEASURE ON JORDAN ALGEBRAS. *European Journal of Interdisciplinary Research and Development*, 4, 19-21.
10. Khursanalievich, K. U., Ugli, T. T. S., & Askarali, M. (2022). DRAWING AND IMAGE MODELS TOOL MATH LEARNING OPTIONS. *American Journal of Applied Science and Technology*, 2(09), 26-34.
11. Gafforov, R. A., & To'xtasinov, T. (2022). Using the taxonomy of Blum in Discrete math and logic math lessons. *Texas Journal of Multidisciplinary Studies*, 9, 105-107.
12. Kodirov, K., Nishonboyev, A., Ruzikov, M., & Tuxtasinov, T. (2022). SUBADDITIVE MEASURE ON VON NEUMANN ALGEBRAS. *International scientific journal of Biruni*, 1(2), 134-139.
13. Кодиров, К. Р., Тухтасинов, Т. Ш., & Йўлдошали, Й. У. (2021). Связь топологии сходимости по мере на алгебрах Фон Неймана. *Вестник магистратуры*, 7.
14. Abdumannopov, M. M., Akhmedov, O. U., & Tokhtasinov, T. (2022). ESSENTIAL MODES FOR ACTIVATING MASTERING SUBJECTS AT SCHOOLS. *CENTRAL ASIAN JOURNAL OF MATHEMATICAL THEORY AND COMPUTER SCIENCES*, 3(12), 1-4.
15. Nishonboyev, A., Tukhtasinov, T., & Ro'zikov, M. (2023). WAYS TO FORM INDEPENDENT THINKING OF STUDENTS IN THE PROCESS OF TEACHING MATHEMATICS. *International Bulletin of Medical Sciences and Clinical Research*, 3(3), 49-51.
16. Рузиков, М. (2022). Уч ўлчовли Лаплас тенгламаси учун ярим чексиз параллелепипедда нолокал чегаравий масала. *Yosh Tadqiqotchi Jurnali*, 1(5), 128-137.
17. Kodirov, K., Nishonboyev, A., Ruzikov, M., & Alimov, Z. (2022). Formation of students'knowledge and skills in the educational process based on the active approach. *International scientific journal of Biruni*, 1(2), 339-344.