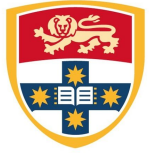


# Lecture: Evolutionary biology (reconstructing evolution using phylogenetics)

Sebastian Duchene  
Australian Research Council Fellow  
Peter Doherty Institute for Infection and Immunity  
University of Melbourne



THE UNIVERSITY OF  
**SYDNEY**

2015 - PhD Computational Biology  
2016 - Postdoc (virus phylogenetics)



THE UNIVERSITY OF  
**MELBOURNE**

2016 - Bio21 Institute McKenzie Fellow  
(bacterial genomics)

2019 - Doherty Institute  
Australian Research Council  
DECRA Fellow



## Some contributors:

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## Previous workshops:

Simon Ho (Sydney Uni)

Rob Lanfear (ANU)

Matt Phillips (QUT)

## For more in-depth phylogenetics:

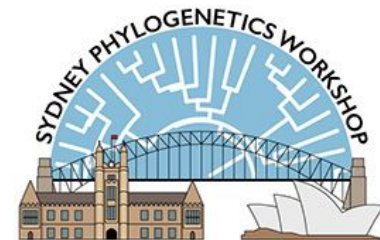
Taming the beast

([taming-the-beast.org/](http://taming-the-beast.org/))



Sydney Phylogenetics workshop

([meep.sydney.edu.au/people/](http://meep.sydney.edu.au/people/))



Melbourne pathogen

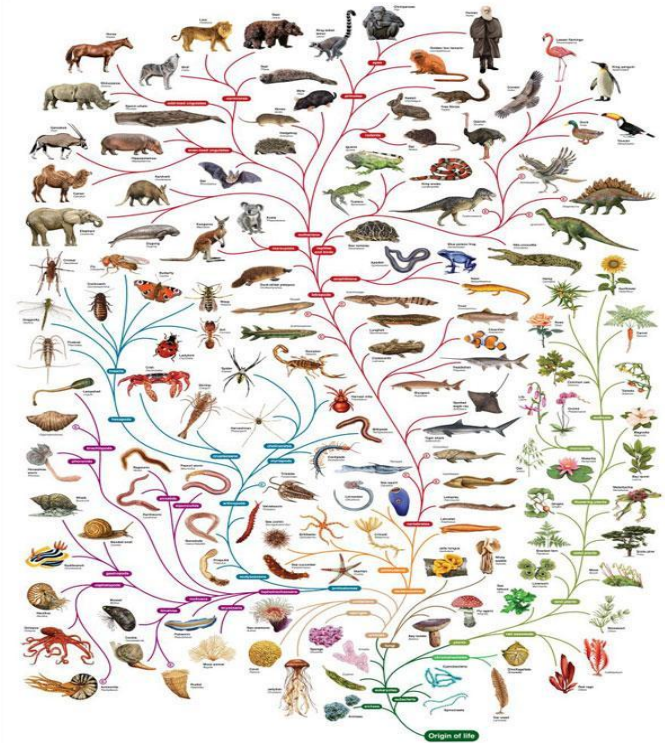
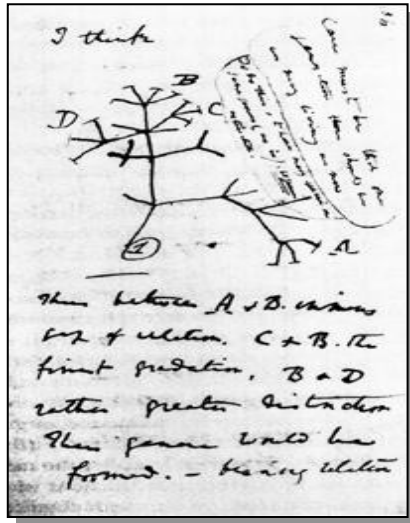
phylogenetics workshop

(TBA. email: [sduchene@unimelb.edu.au](mailto:sduchene@unimelb.edu.au))

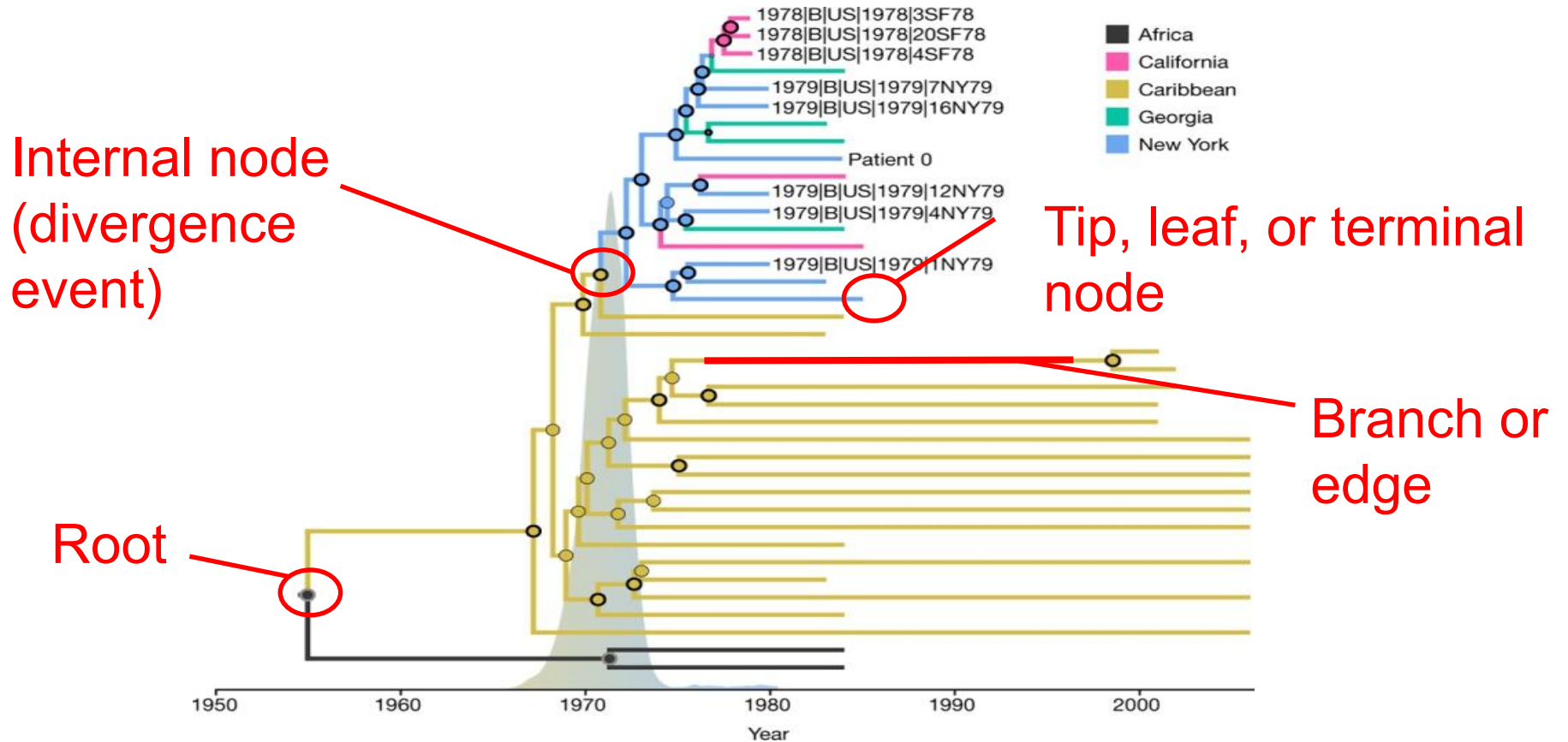
# Interpreting phylogenetic trees

# What is a phylogenetic tree?

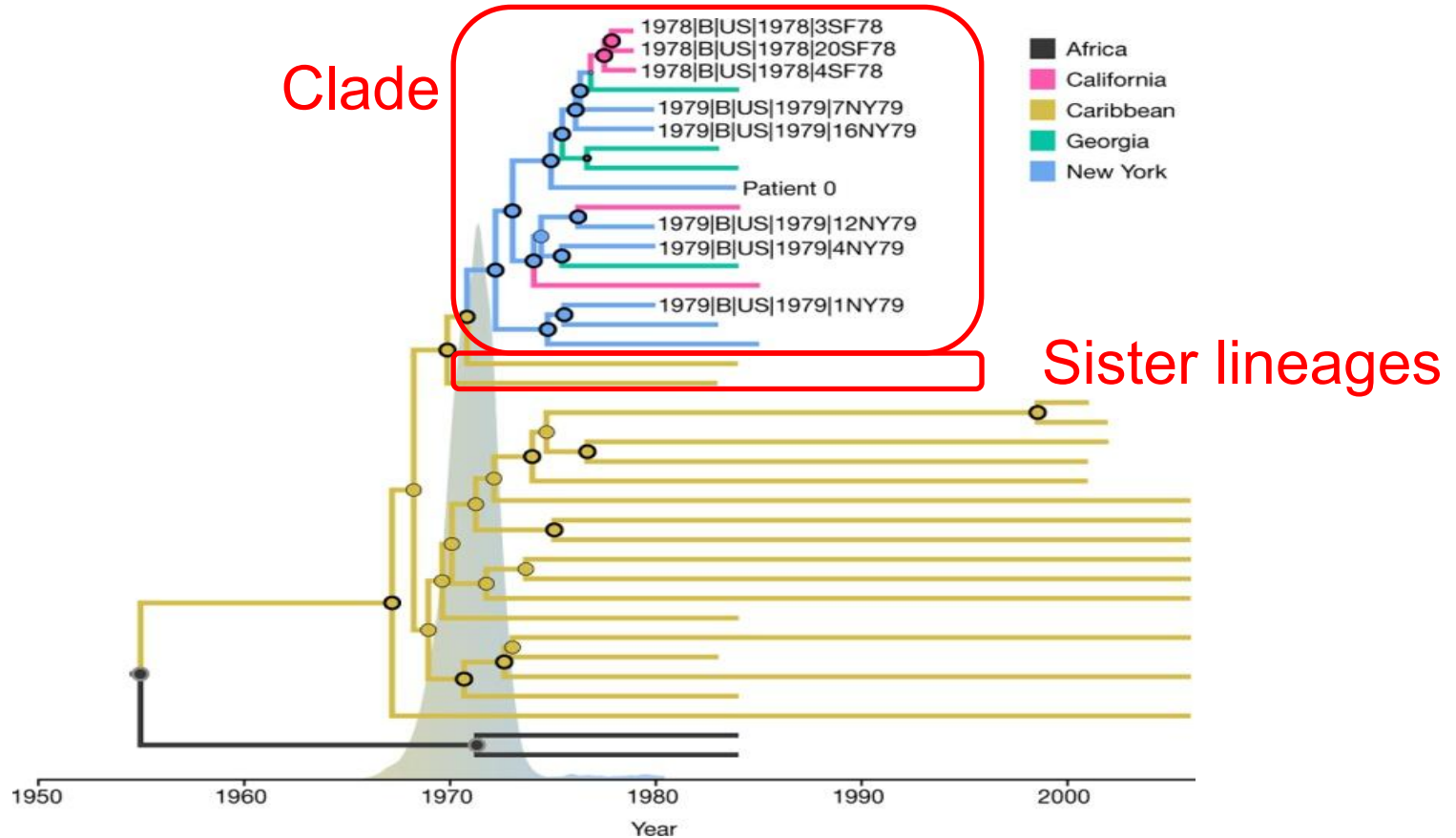
The phylogeny refers to the **true evolutionary relationships** among a set of organisms



# Phylogenetic trees

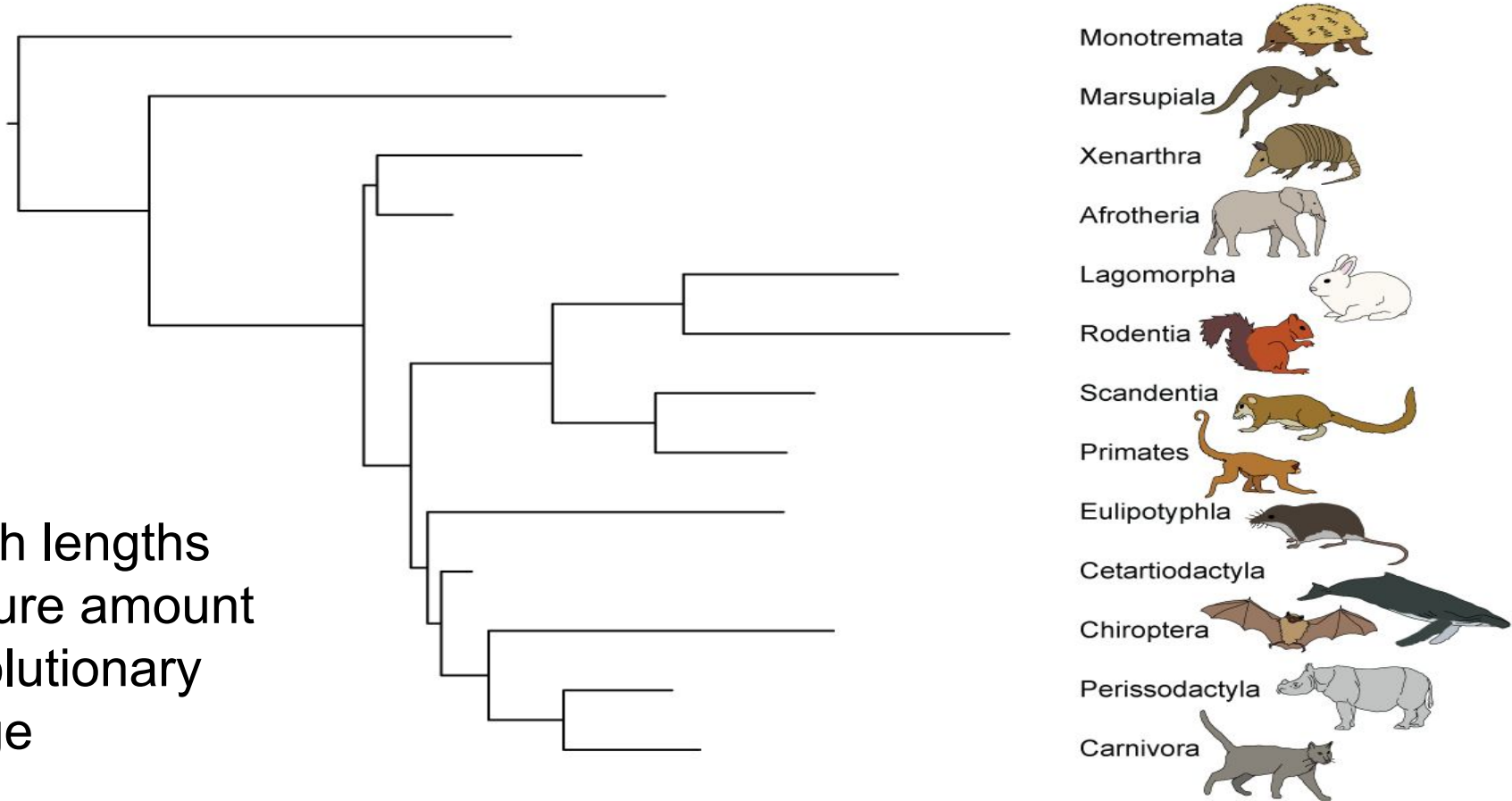


# Phylogenetic trees



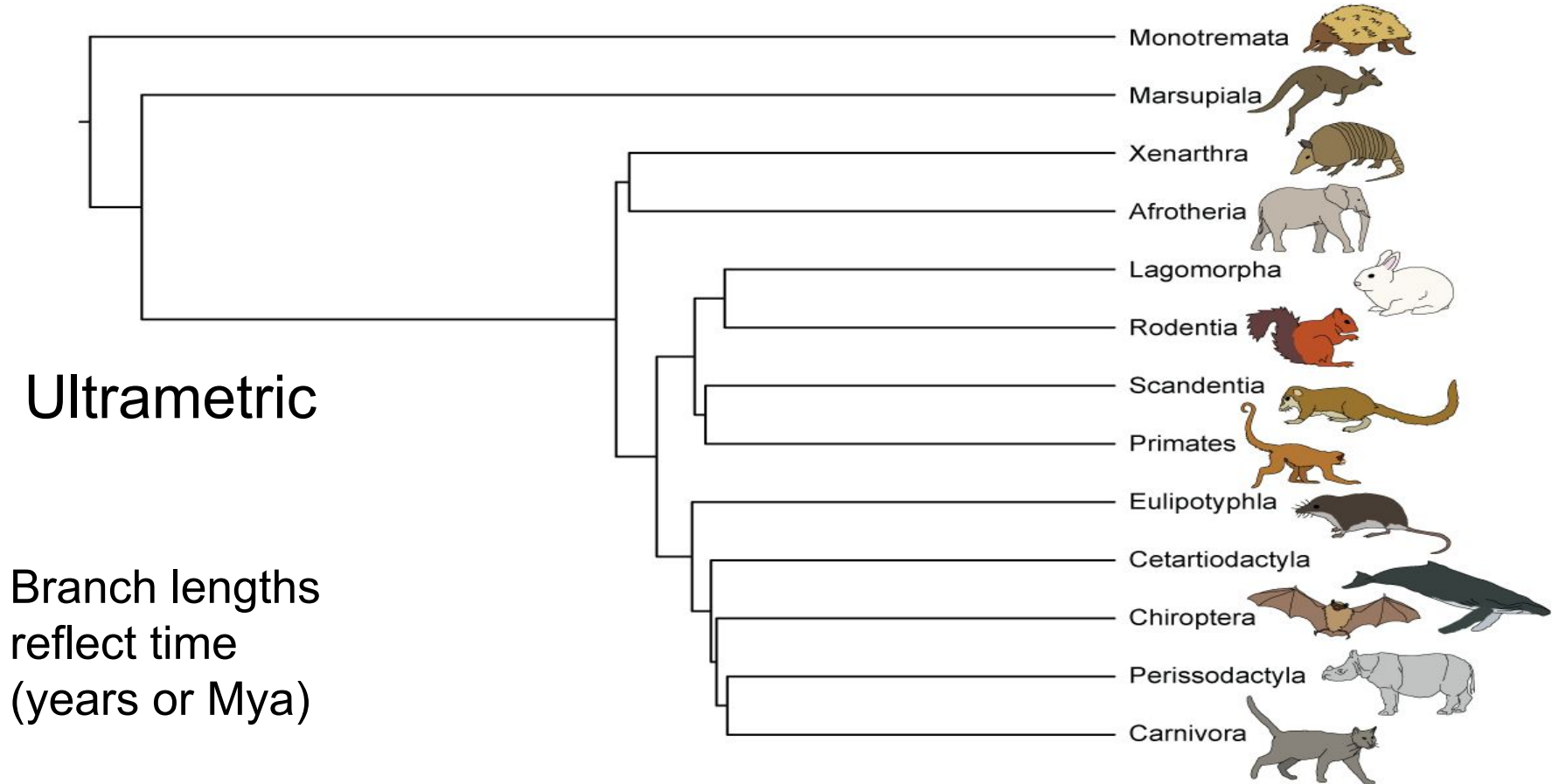
# Phylogenetic trees: Phylogram

Branch lengths  
measure amount  
of evolutionary  
change





# Phylogenetic trees: Chronograms

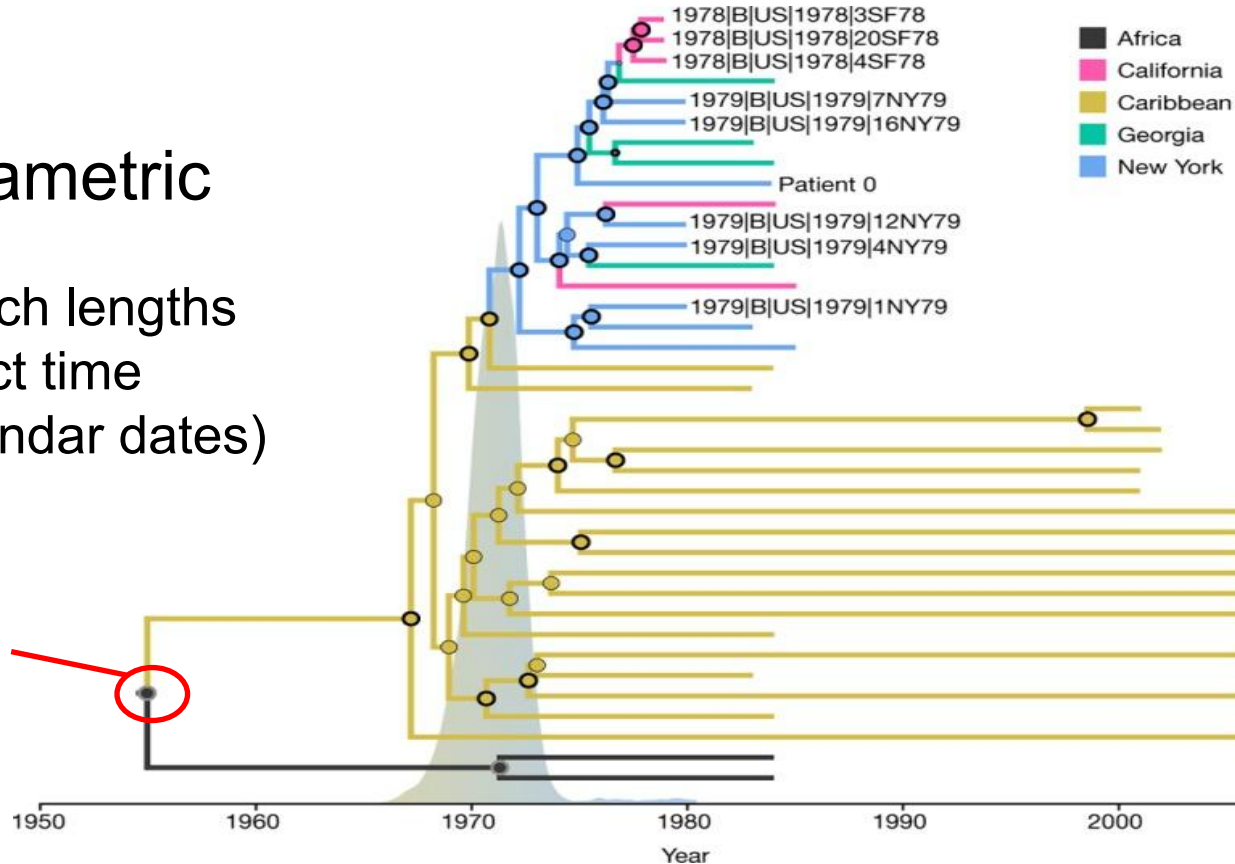


# Phylogenetic trees: Chronograms

Non-ultrametric

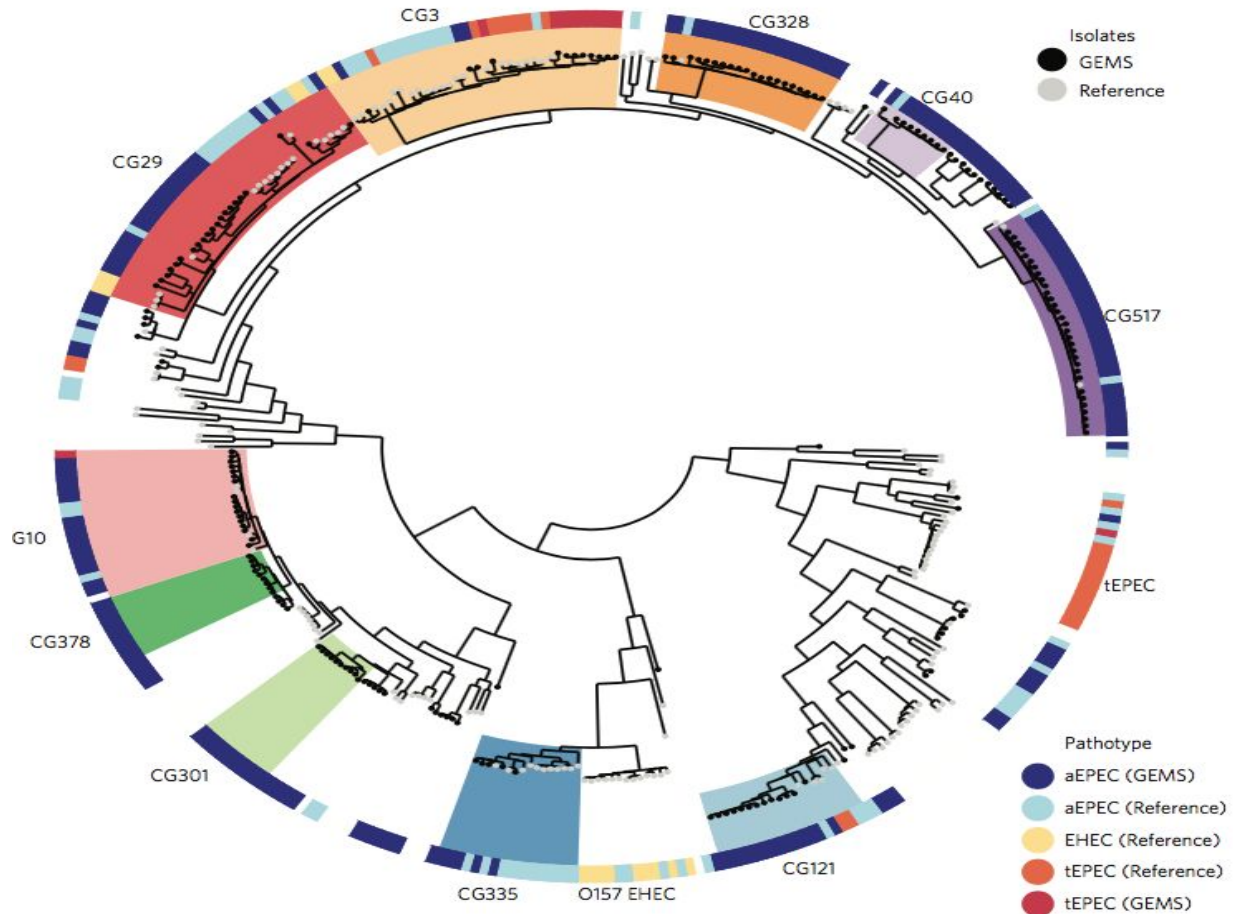
Branch lengths  
reflect time  
(calendar dates)

Time to the  
most recent  
common  
ancestor



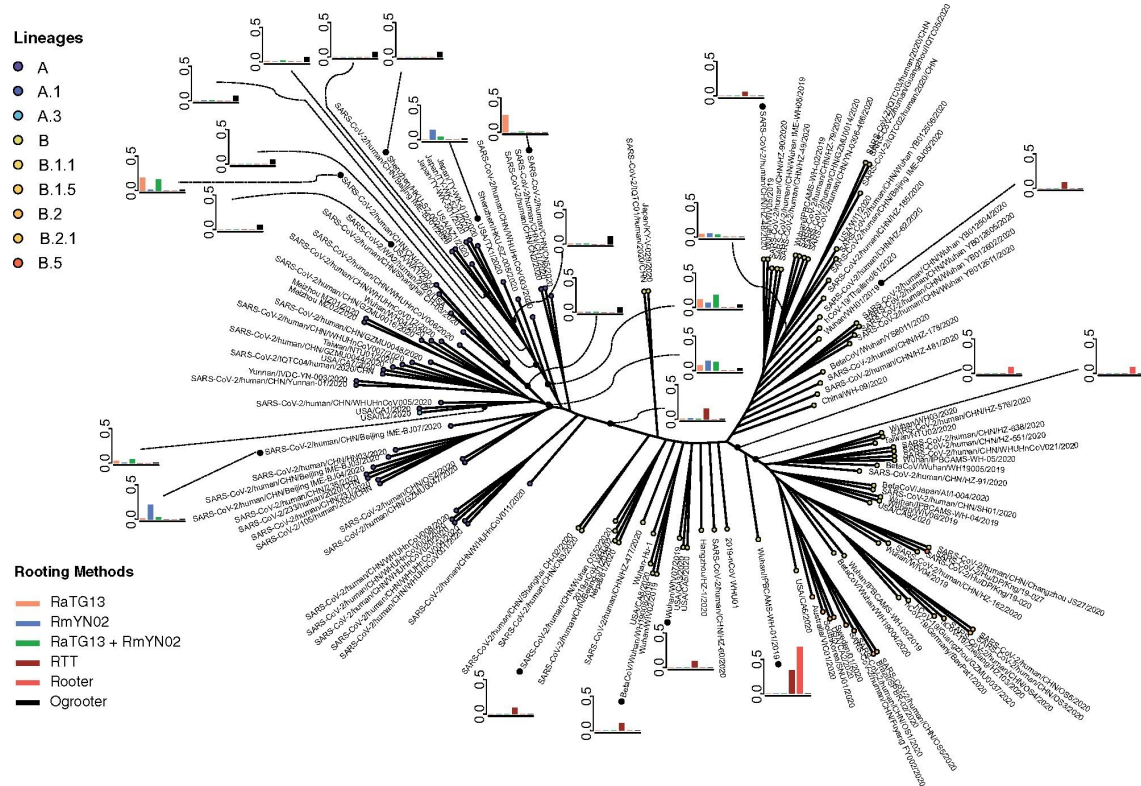
# Phylogenetic trees: Circular

- Good for very large trees
- Branches can be genetic distance or time



# Phylogenetic trees: Unrooted

- Position of root is unknown
- Branch lengths usually represent amount of genetic change (substitutions/site)



# Concept review

## Parts of trees:

- root node
- internal nodes (divergence events)
- tips
- branches or 'edges'

## Types of trees:

- phylograms (branches usually in subs/site)
- chronograms (branches in units of time)
- \*cladograms (branches have no meaning)

# Inferring phylogenetic trees

# Inferring phylogenetic trees

1. Maximum parsimony
2. Distance-based methods
3. Maximum likelihood
4. Bayesian inference



**Beast2**

Bayesian evolutionary analysis by sampling trees



**BEAST**

Bayesian Evolutionary Analysis Sampling Trees



**RAxML**



# Maximum parsimony

brown bear    **C****G****T****A****G****T****A****C****A****C****T**

cave bear **C****G****A****T****A****G****T****T****C****A****C****T**

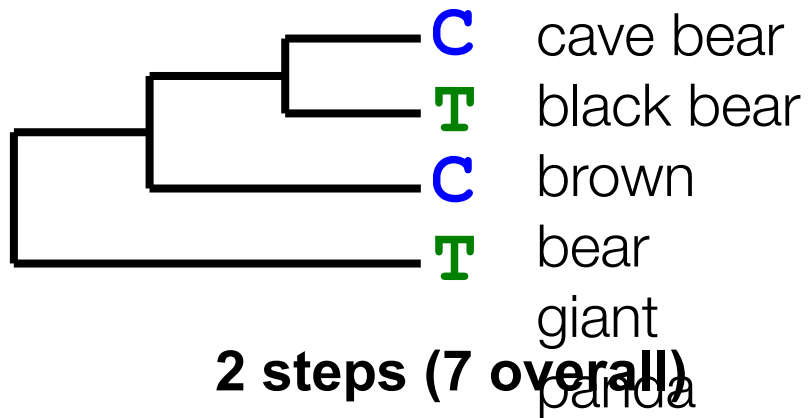
black bear    **C****G****T****A****G****T****T****T****A****C****C**

giant panda    **C****A****T****T****G****G****T****T****T****A****C****T**



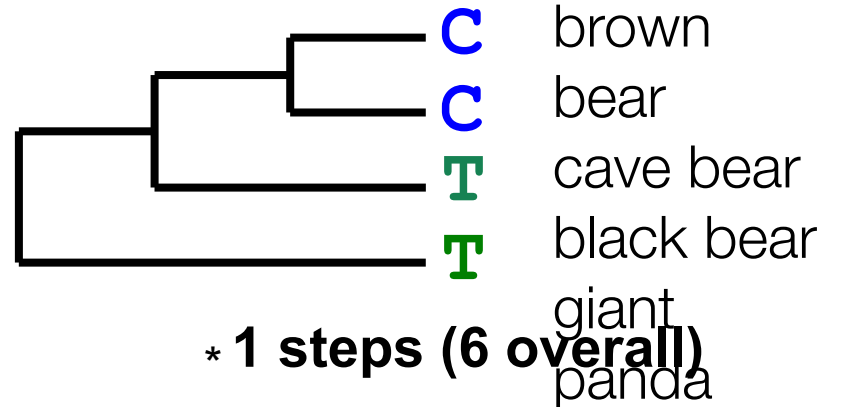
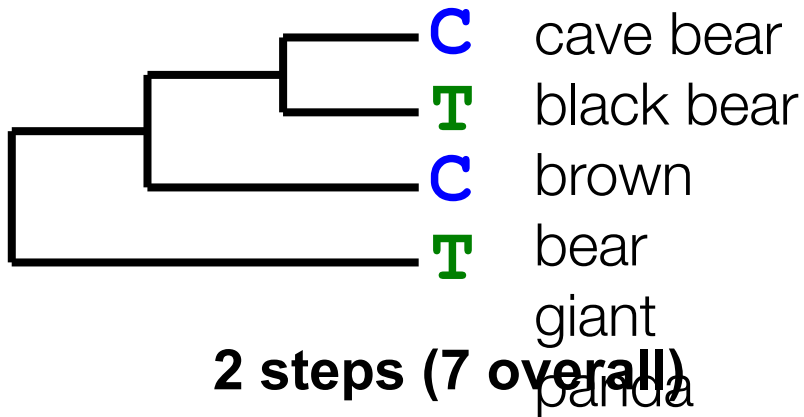
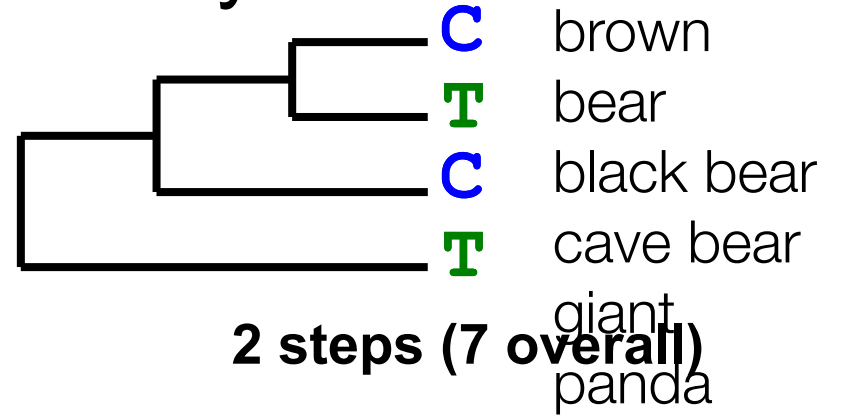
# Maximum parsimony

brown bear	C	G	T	A	G	T	A	C	A	C	T	
cave bear	C	G	A	T	A	G	T	T	C	A	C	T
black bear	C	G	T	T	A	G	T	T	T	A	C	C
giant panda	C	A	T	T	G	G	T	T	T	A	C	T



# Maximum parsimony

brown bear	C	G	T	A	G	T	A	C	A	C	T	
cave bear	C	G	A	T	A	G	T	T	C	A	C	T
black bear	C	G	T	A	G	T	T	T	A	C	C	
giant panda	C	A	T	T	G	G	T	T	T	A	C	T

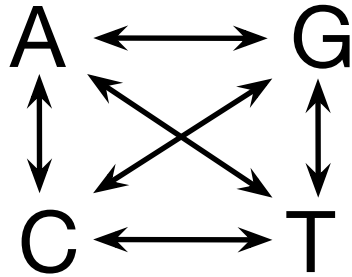


# Maximum parsimony

- Identifies the tree topology that can explain the sequence data, using the smallest number of inferred substitution events
- Commonly used for morphological data
- Now rarely used for analysing genetic data
  - Cannot estimate evolutionary rates or timescales
  - Effects of multiple substitutions

# Evolutionary models

Rate Matrix



Base Frequencies

$$\pi_A + \pi_C + \pi_G + \pi_T = 1,$$

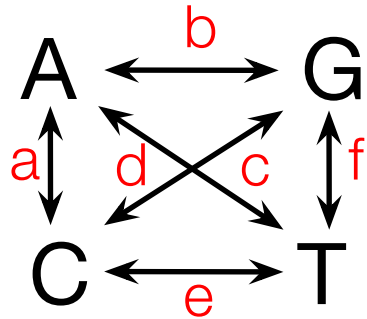
Site Rates

$$+ | +$$

$$G$$

# Evolutionary models

Rate Matrix



Base Frequencies

$$\pi_A + \pi_C + \pi_G + \pi_T = 1,$$

Site Rates

$$+ I + G$$

**JC**

$$a=b=c=d=e=f$$

$$\pi_A = \pi_C = \pi_G = \pi_T$$

No I or G

0 free

parameters

**HKY**

$$a=c=d=f, b=e$$

$$\pi_A, \pi_C, \pi_G, \pi_T$$

No I or G

4 free

parameters

**GTR**

$$a, b, c, d, e, f$$

$$\pi_A, \pi_C, \pi_G, \pi_T$$

No I or G

8 free

parameters

**GTR+I+G**

$$a, b, c, d, e, f$$

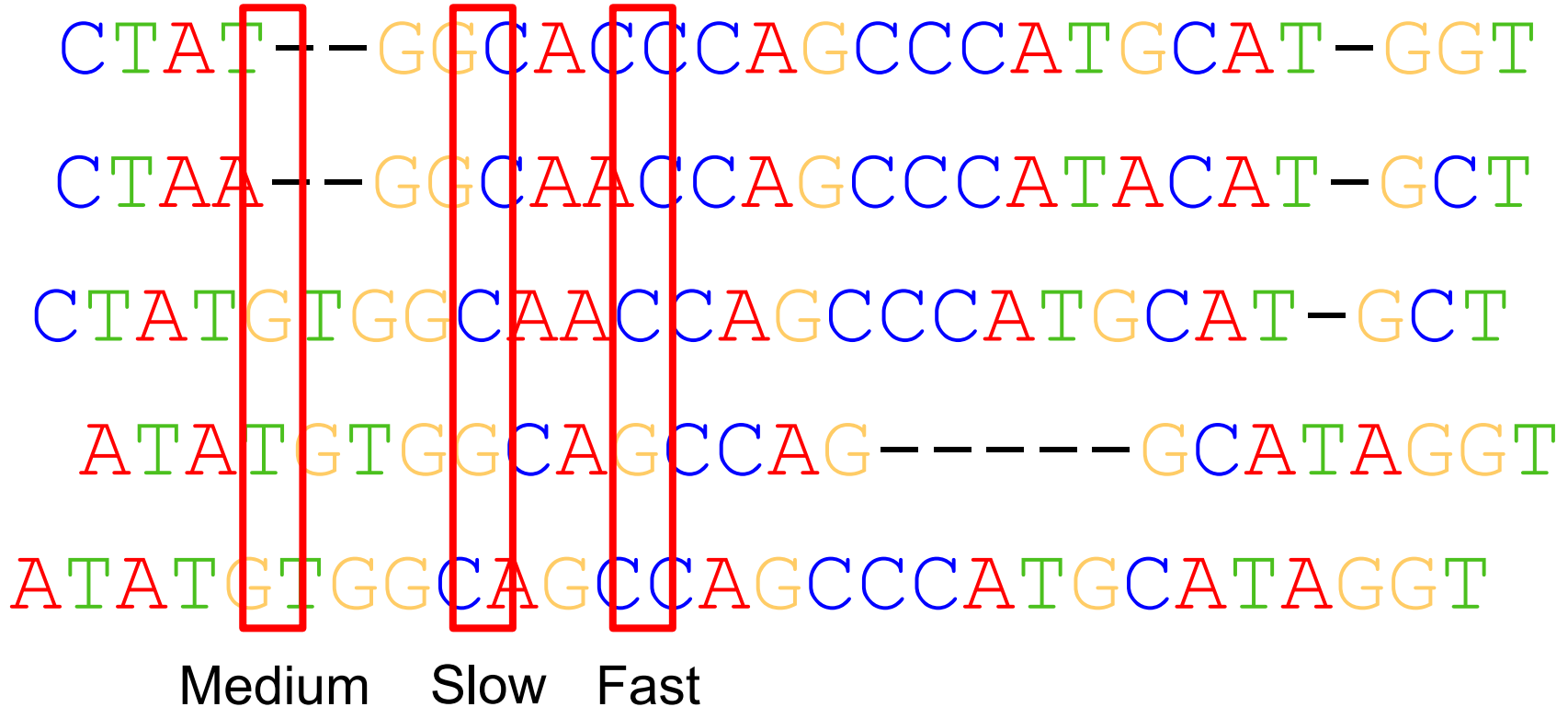
$$\pi_A, \pi_C, \pi_G, \pi_T$$

I, G

10 free

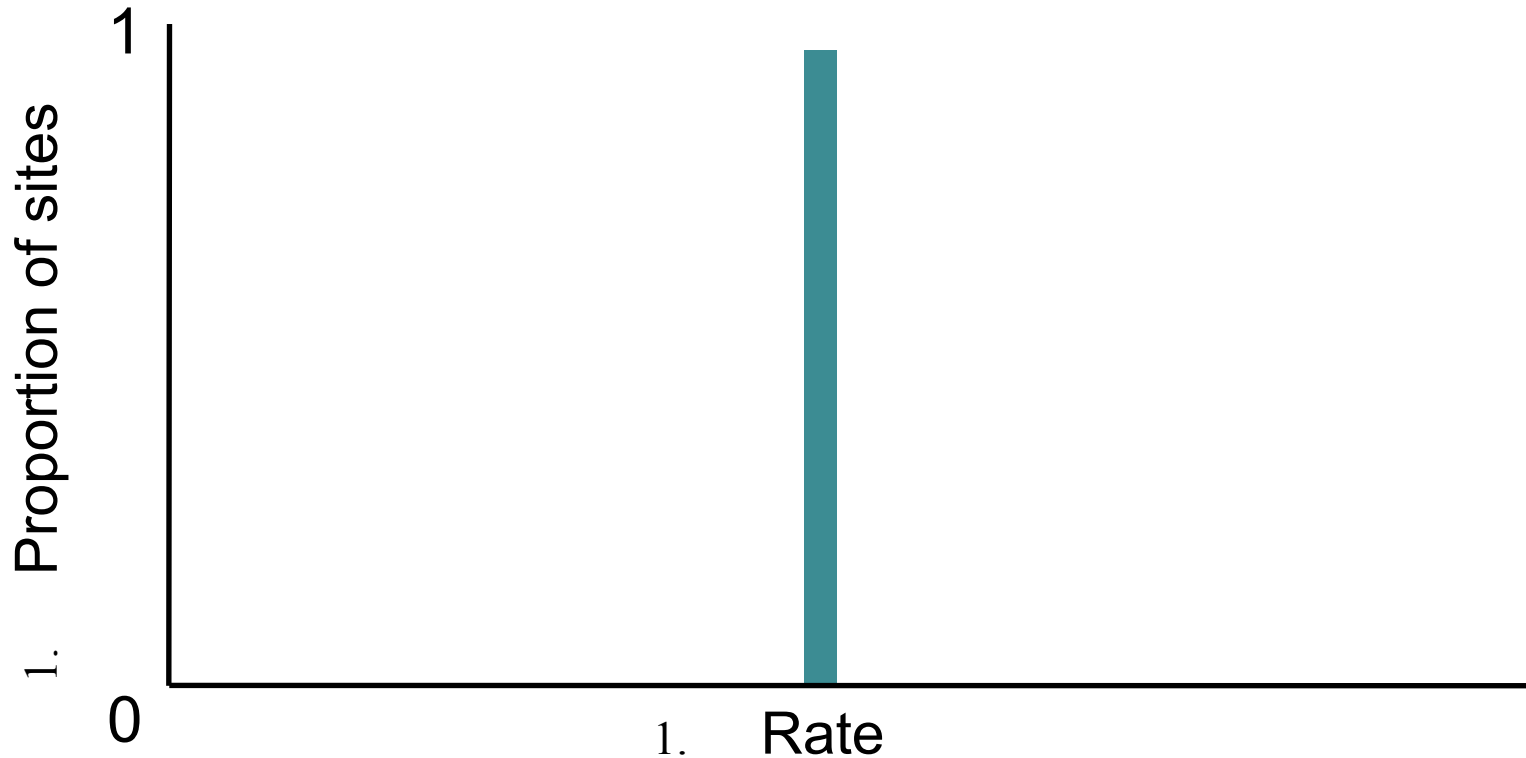
parameters

# Rate variation among sites



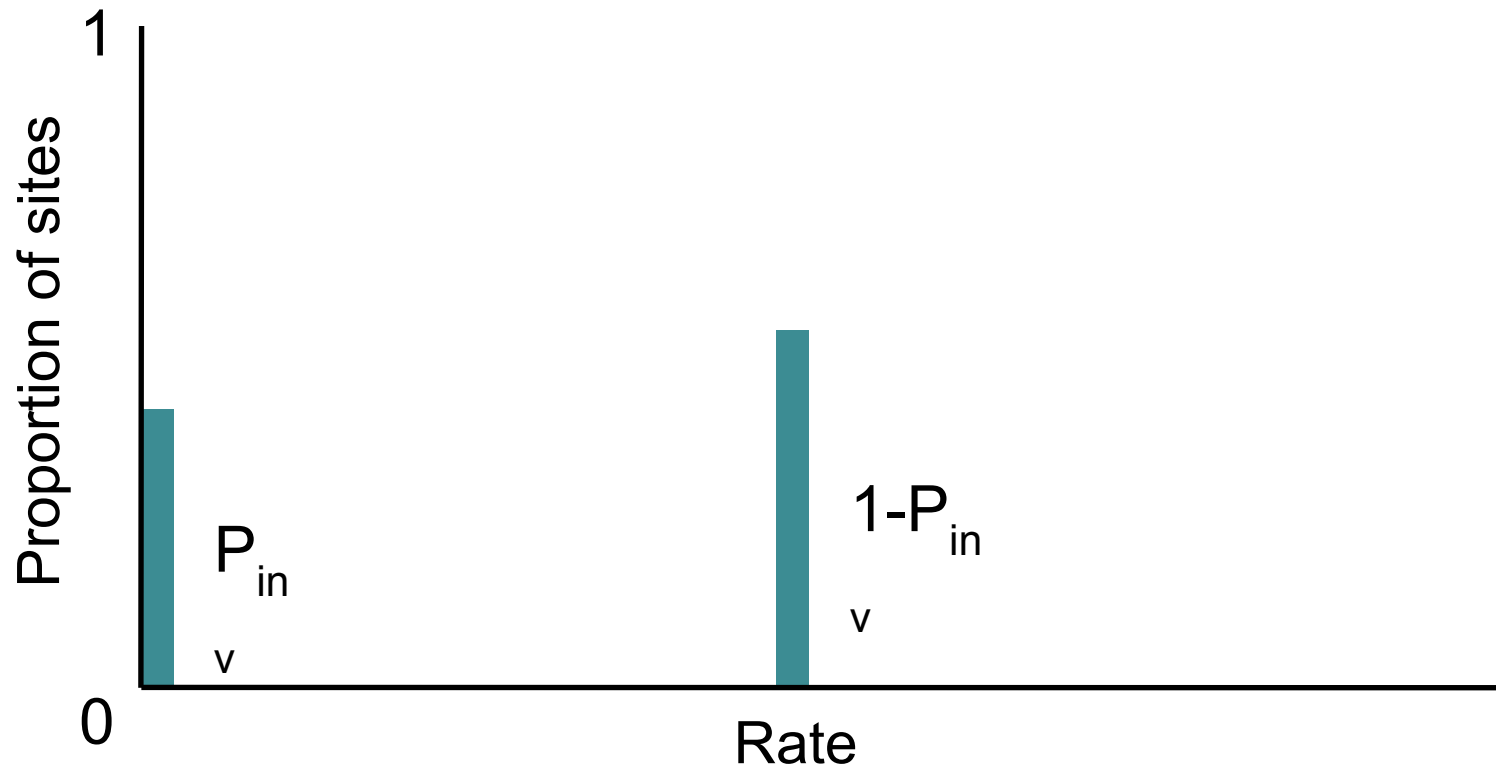
# Rate variation among sites

1. Equal rates among sites (e.g., **JC**, **GTR**, **HKY** models)



# Rate variation among sites

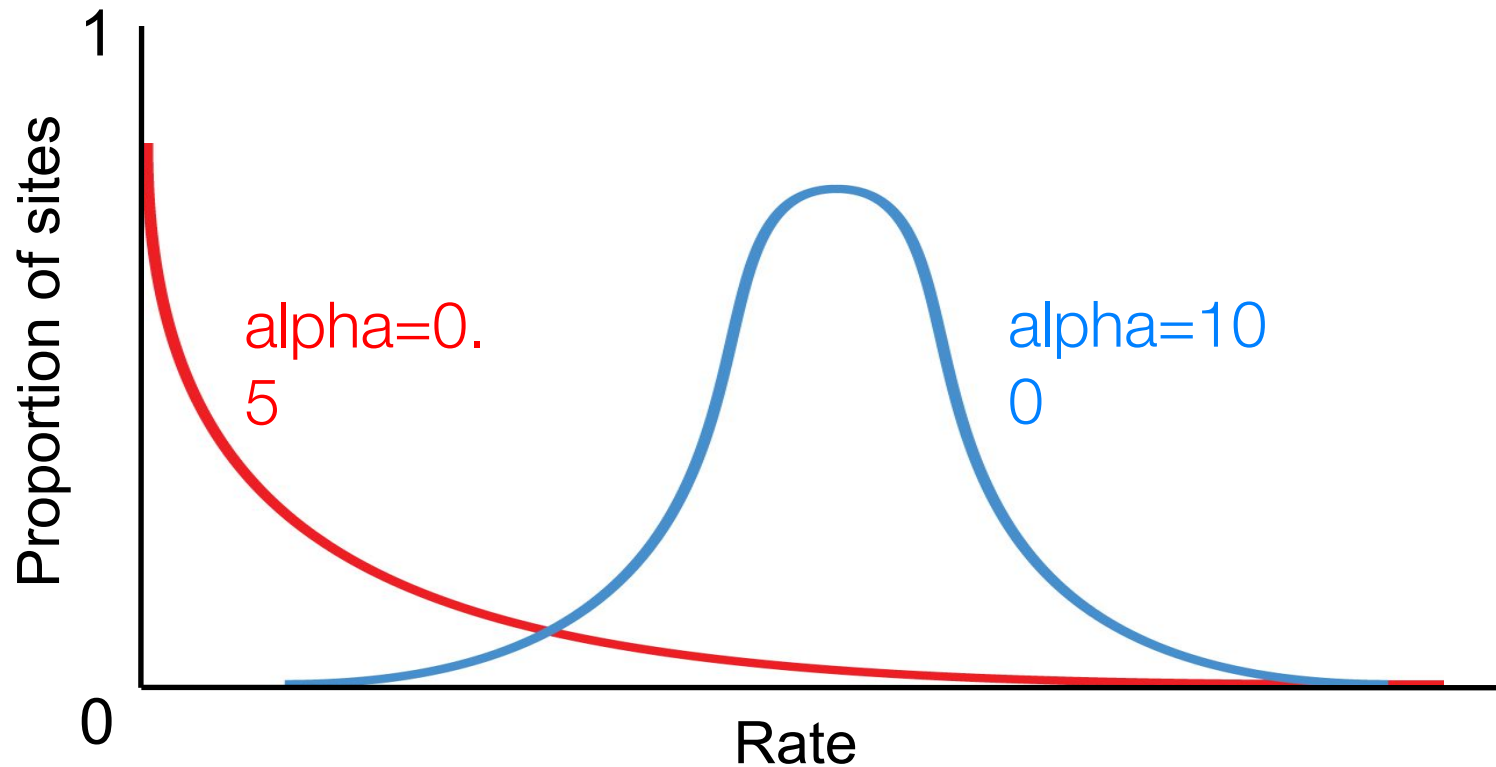
- Proportion of invariable sites (e.g., **JC+I**, **GTR+I**, **HKY+I** models)





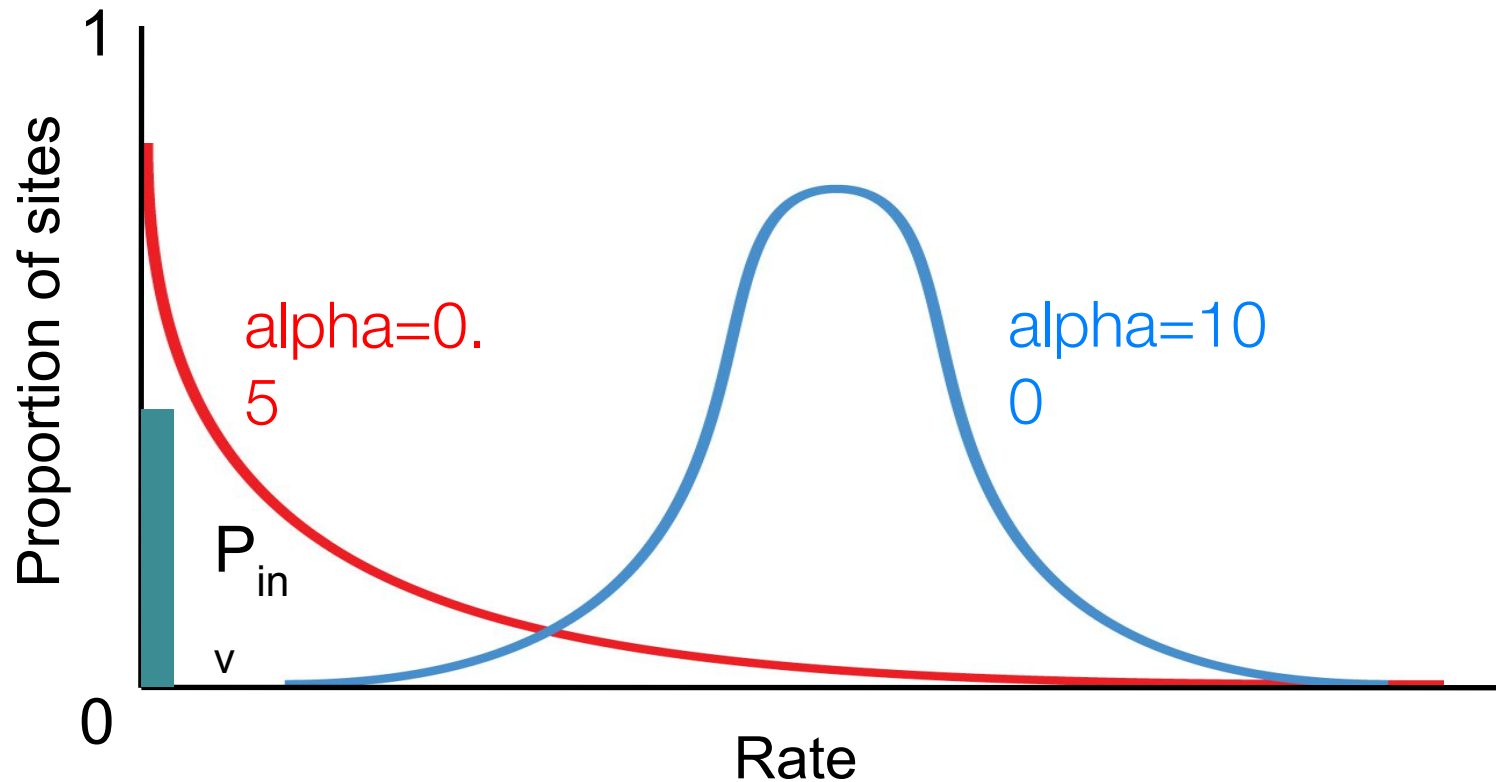
# Rate variation among sites

- Gamma-distributed rate variation among sites (e.g., **JC+G**, **GTR+G**, **HKY+G** models)



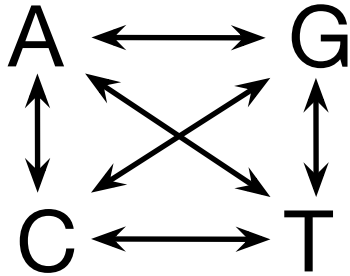
# Rate variation among sites

- **JC+G+I, GTR+G+I, HKY+G+I** models



# Evolutionary models

Rate Matrix



Base Frequencies

$$\pi_A + \pi_C + \pi_G + \pi_T = 1$$

Site Rates

$$+ I + G$$

#Models

$$203 \times 15 \times 14 = 12,180$$

In phylogenetics, we typically consider a small subset of these

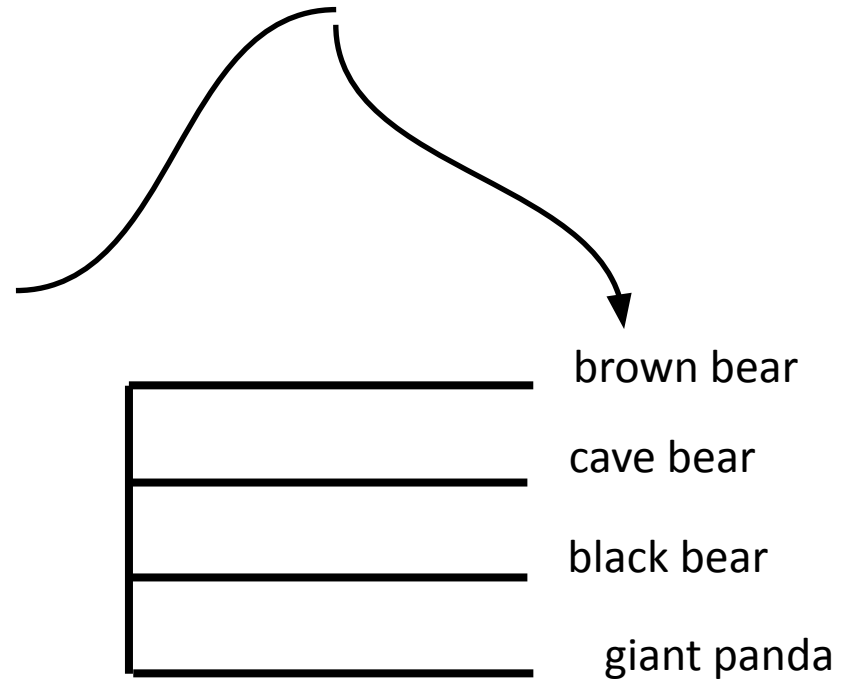
# Neighbour-joining

brown bear **CGTTAGTACACT**  
 cave bear **CGATAGTTCACT**  
 black bear **CGTTAGTTTACC**  
 giant panda **CATTGGTTTACT**

**MODEL**

	brown bear	cave bear	black bear	giant panda
brown bear	-			
cave bear	.1	-		
black bear	.3	.3	-	
giant panda	.4	.5	.4	-

**CLUSTERING  
ALGORITHM**



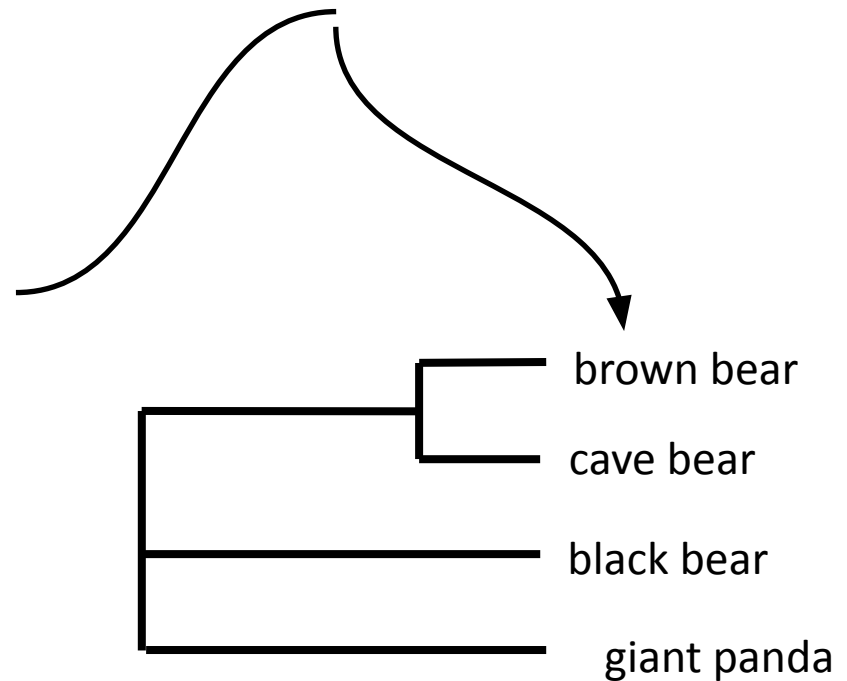
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brown bear **CGTTAGTACACT**  
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 giant panda **CATTGGTTTACT**

MODEL

	brown bear	cave bear	black bear	giant panda
brown bear	-			
cave bear	<b>.1</b>	-		
black bear	.3	.3	-	
giant panda	.4	.5	.4	-

CLUSTERING  
ALGORITHM



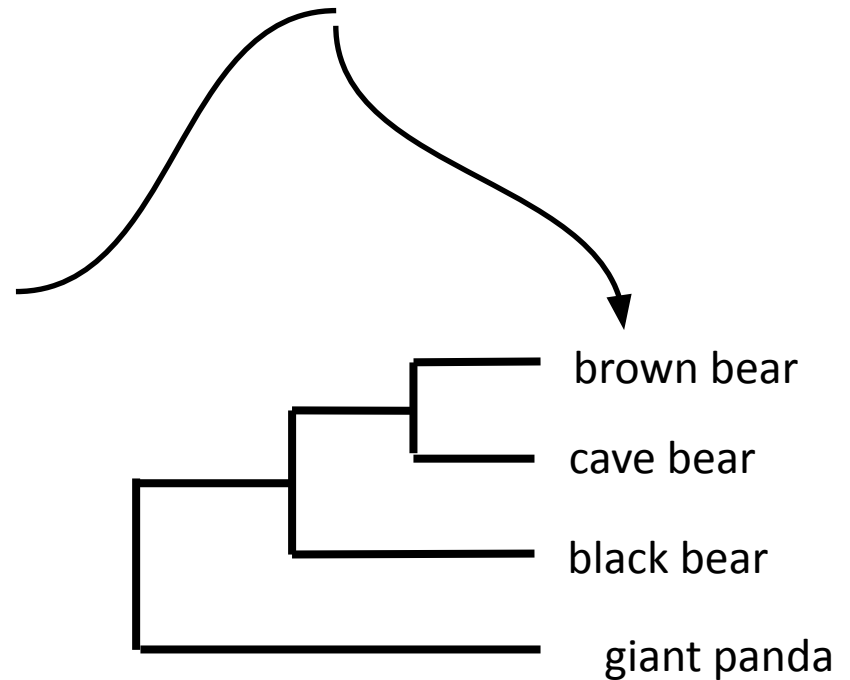
# Neighbour-joining

brown bear **CGTTAGTACACT**  
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**MODEL**

	brown bear	cave bear	black bear	giant panda
brown bear	-			
cave bear	.1	-		
black bear	.3	.3	-	
giant panda	.4	.5	.4	-

**CLUSTERING  
ALGORITHM**



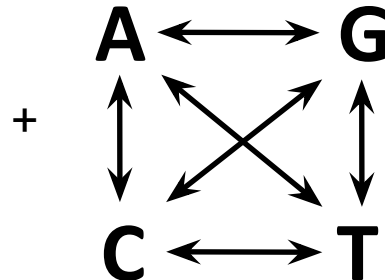
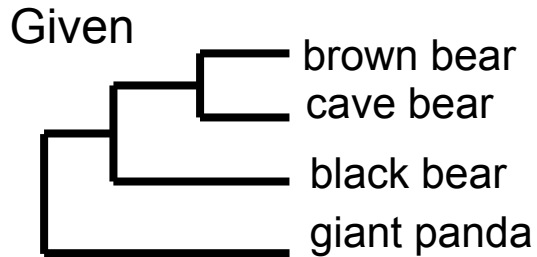
# Maximum likelihood

Likelihood of hypothesis  $H =$

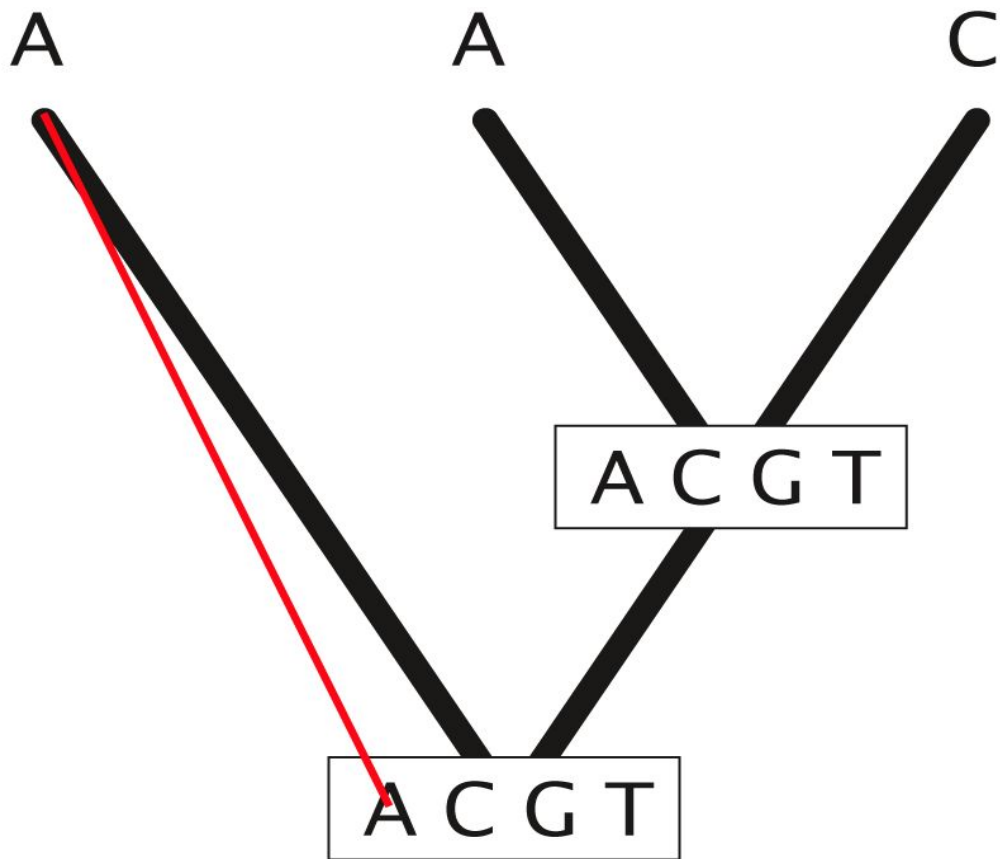


The probability of the data, given the hypothesis

Probability of?



Brown bear **CGTTAGTACACT**  
Cave bear **CGATAGTTCACT**  
Black bear **CGTTAGTTTACC**  
Giant panda **CATTGGTTTACT**

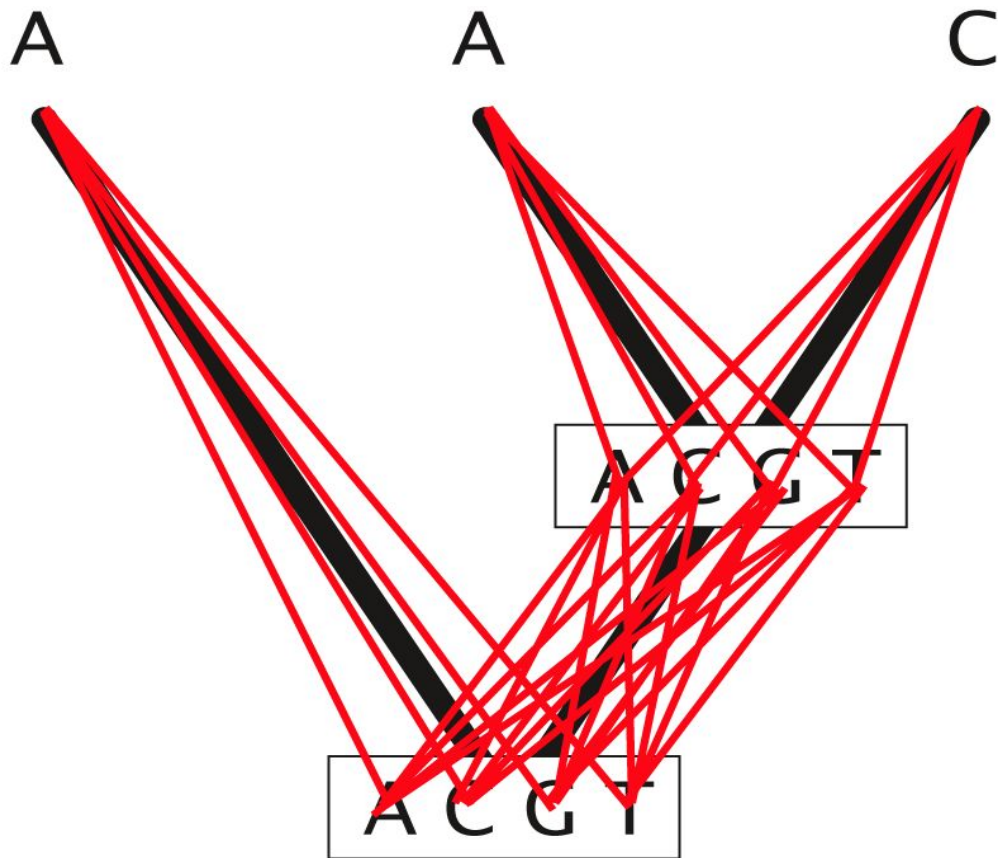


from

to

	A	C	G	T
A	-	a	b	c
C	a	-	d	e
G	b	d	-	f
T	c	e	f	-





from

to

	A	C	G	T
A	-	a	b	c
C	a	-	d	e
G	b	d	-	f
T	c	e	f	-

Likelihood = all possible scenarios

# Likelihood is multiplied across sites

L L L ...  
 1 | 2 | 3  
 | | |  
 | | |

Sample 1

CGTTAGTACACT

Sample 2

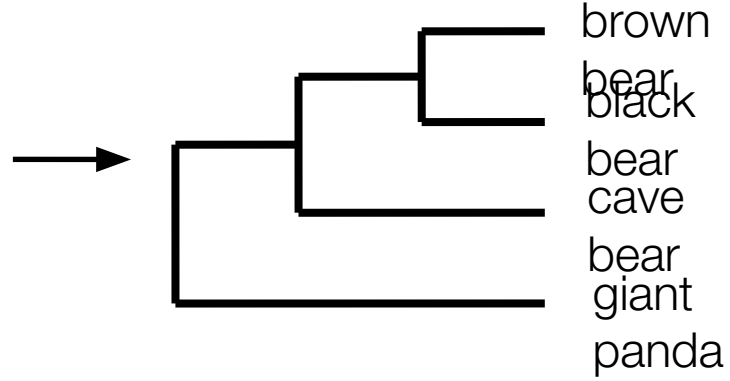
CGATAGTTCACT

Sample 3

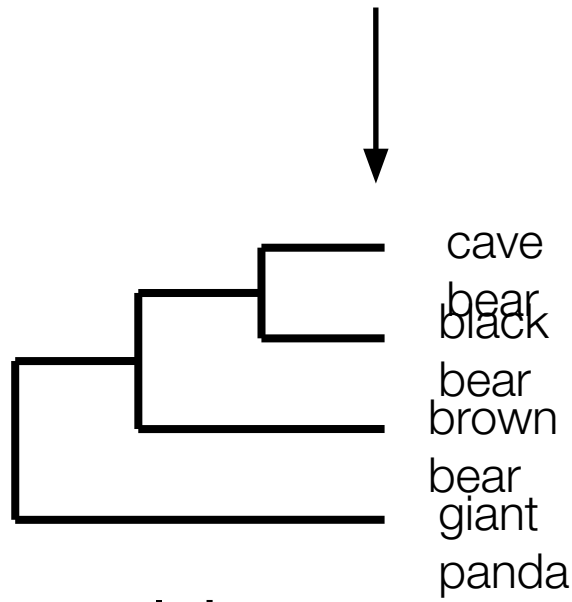
CGTTAGTTTACG Likelihood values are very small!

Sample 4 ( use log scale)

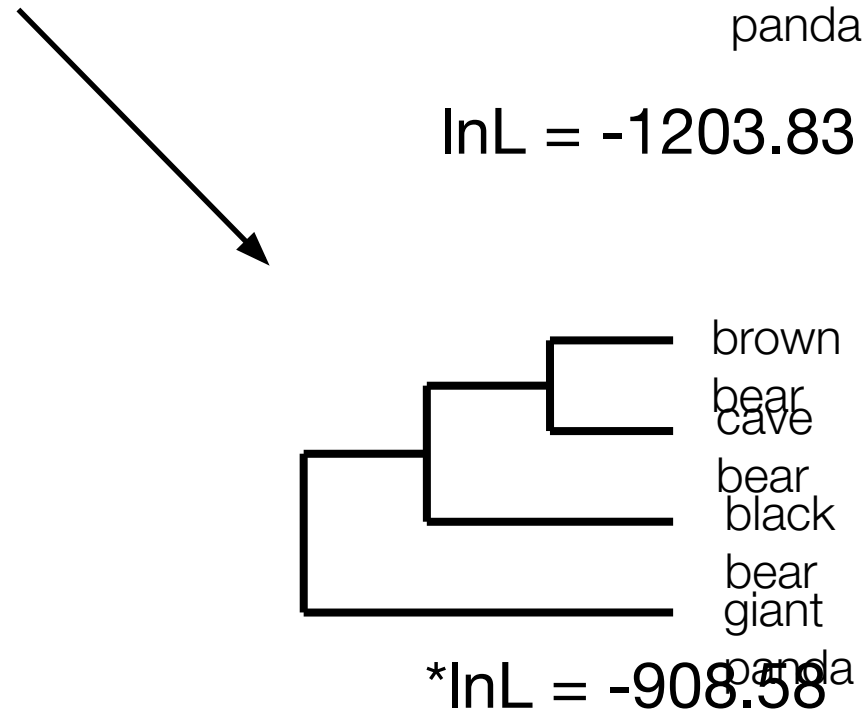
brown bear **CGTTAGTACACT**  
 cave bear **CGATAGTTCACT**  
 black bear **CGTTAGTTTACC**  
 giant panda **CATTGGTTTACT**



$\ln L = -1203.83$

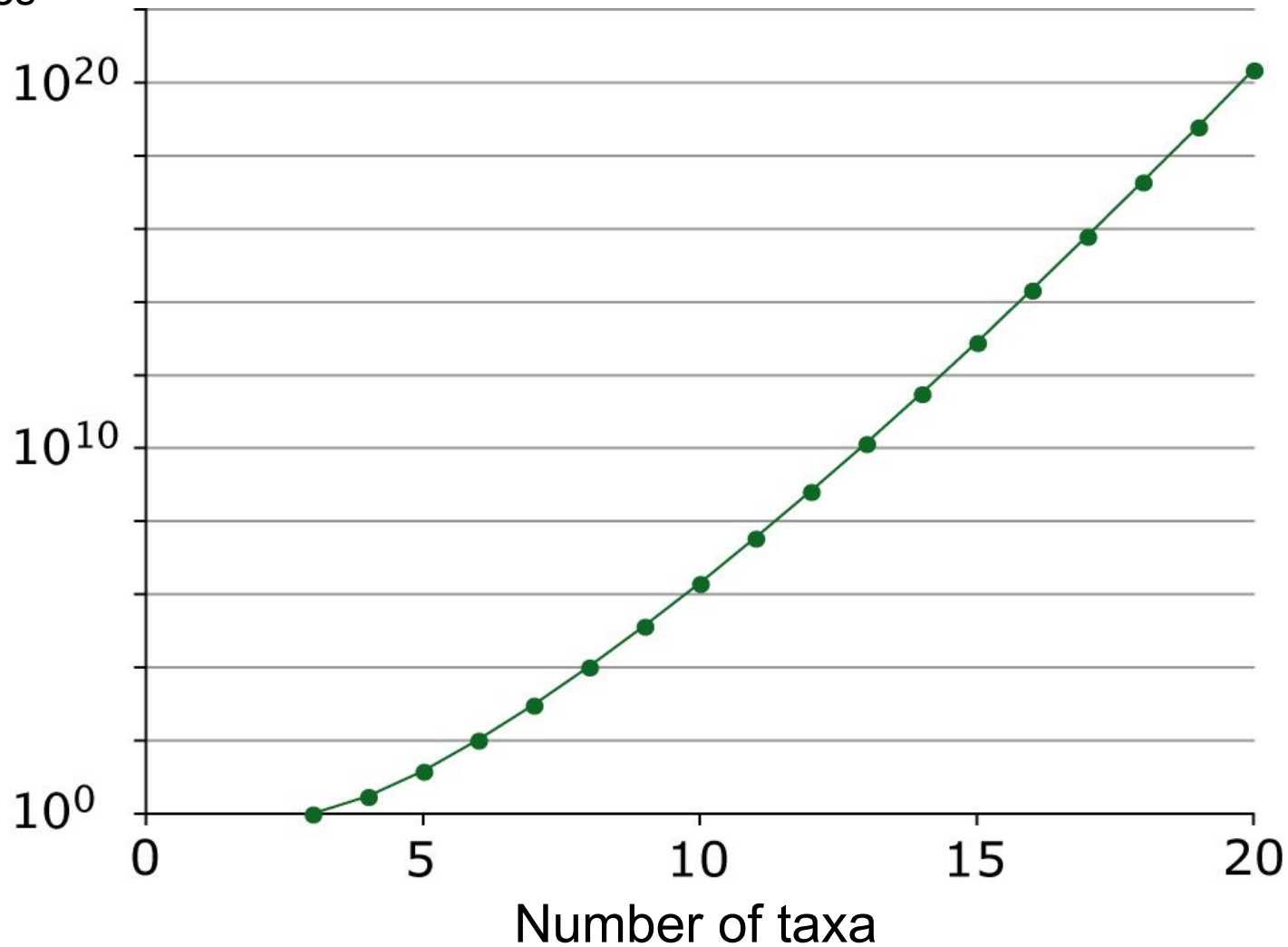


$\ln L = -1241.47$



\* $\ln L = -908.58$

# Number of trees



# Maximum likelihood

- Heuristic approaches to search tree space
- Single estimate of phylogenetic tree and parameters (MLE)
- Uncertainty via bootstrapping
- \*We typically need additional methods to estimate rates, times, or demographic parameters

# Bootstrapping

brown bear **C****G****T****T****A****G****T****A****C****A****C****T**  
cave bear **C****G****A****T****A****G****T****T****C****A****C****T**  
black bear **C****G****T****T****A****G****T****T****T****A****C****C**  
giant panda **C****A****T****T****G****G****T****T****T****A****C****T**

# Bootstrapping

brown bear	C <b>G</b> T <b>T</b> A <b>G</b> T <b>A</b> C <b>A</b> C <b>T</b>
cave bear	C <b>G</b> <b>A</b> T <b>A</b> G <b>T</b> T <b>C</b> A <b>C</b> T
black bear	C <b>G</b> T <b>T</b> A <b>G</b> T <b>T</b> A <b>C</b> C
giant panda	C <b>A</b> T <b>T</b> G <b>G</b> T <b>T</b> A <b>C</b> T

brown bear	<b>T</b>
cave bear	<b>A</b>
black bear	<b>T</b>
giant panda	<b>T</b>

# Bootstrapping

brown bear	<b>C</b> <b>G</b> <b>T</b> <b>T</b> <b>A</b> <b>G</b> <b>T</b> <b>A</b> <b>C</b> <b>A</b> <b>C</b> <b>T</b>
cave bear	<b>C</b> <b>G</b> <b>A</b> <b>T</b> <b>A</b> <b>G</b> <b>T</b> <b>T</b> <b>C</b> <b>A</b> <b>C</b> <b>T</b>
black bear	<b>C</b> <b>G</b> <b>T</b> <b>T</b> <b>A</b> <b>G</b> <b>T</b> <b>T</b> <b>T</b> <b>A</b> <b>C</b> <b>C</b>
giant panda	<b>C</b> <b>A</b> <b>T</b> <b>T</b> <b>G</b> <b>G</b> <b>T</b> <b>T</b> <b>A</b> <b>C</b> <b>T</b>

brown bear	<b>T</b> <b>T</b>
cave bear	<b>A</b> <b>T</b>
black bear	<b>T</b> <b>T</b>
giant panda	<b>T</b> <b>T</b>



# Bootstrapping

brown bear	<b>C</b> <b>G</b> <b>T</b> <b>A</b> <b>G</b> <b>T</b> <b>A</b> <b>C</b> <b>A</b> <b>C</b> <b>T</b>
cave bear	<b>C</b> <b>G</b> <b>A</b> <b>T</b> <b>A</b> <b>G</b> <b>T</b> <b>T</b> <b>C</b> <b>A</b> <b>C</b> <b>T</b>
black bear	<b>C</b> <b>G</b> <b>T</b> <b>A</b> <b>G</b> <b>T</b> <b>T</b> <b>T</b> <b>A</b> <b>C</b> <b>C</b>
giant panda	<b>C</b> <b>A</b> <b>T</b> <b>T</b> <b>G</b> <b>G</b> <b>T</b> <b>T</b> <b>T</b> <b>A</b> <b>C</b> <b>T</b>

brown bear	<b>T</b> <b>T</b> <b>C</b>
cave bear	<b>A</b> <b>T</b> <b>C</b>
black bear	<b>T</b> <b>T</b> <b>T</b>
giant panda	<b>T</b> <b>T</b> <b>T</b>

# Bootstrapping

brown bear	CGTTAGTACACT
cave bear	CGATAGTTCACT
black bear	CGTTAGTTTACC
giant panda	CATTGGTITACT

brown bear	TTCT
cave bear	ATCT
black bear	TTTT
giant panda	TTTT

# Bootstrapping

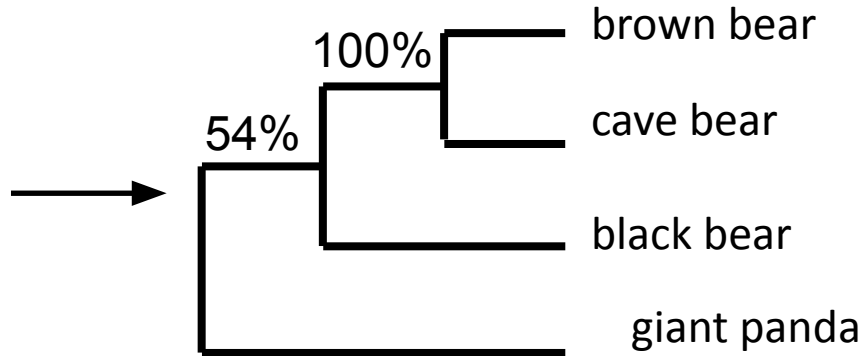
brown bear **CGTTAGTACACT**  
 cave bear **CGATAGTTCACT**  
 black bear **CGTTAGTTTACC**  
 giant panda **CATTGGTTTACT**



**Pseudoreplication**

**Repeat 1,000 times**

brown bear **TTCTAGTACACT**  
 cave bear **ATCTAGTTCACT**  
 black bear **TTTTAGTTTACC**  
 giant panda **TTTTGGTTTACT**



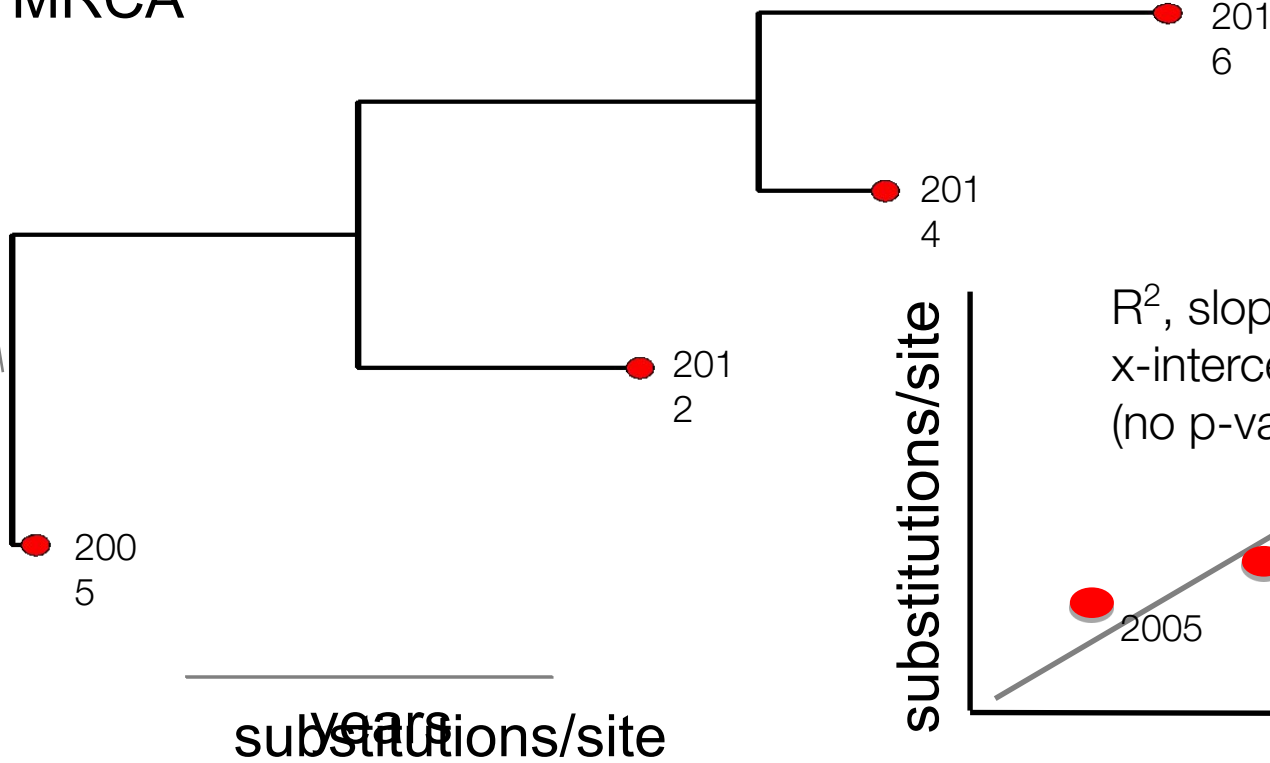
# Concept review

- Maximum parsimony does not assume an explicit substitution model
- Distance methods are very fast, but do not use all of the information
  - for tree building
- Maximum likelihood is a true statistical approach. Obtaining uncertainty
  - often requires additional approaches
    - (bootstrapping, concordance factors)

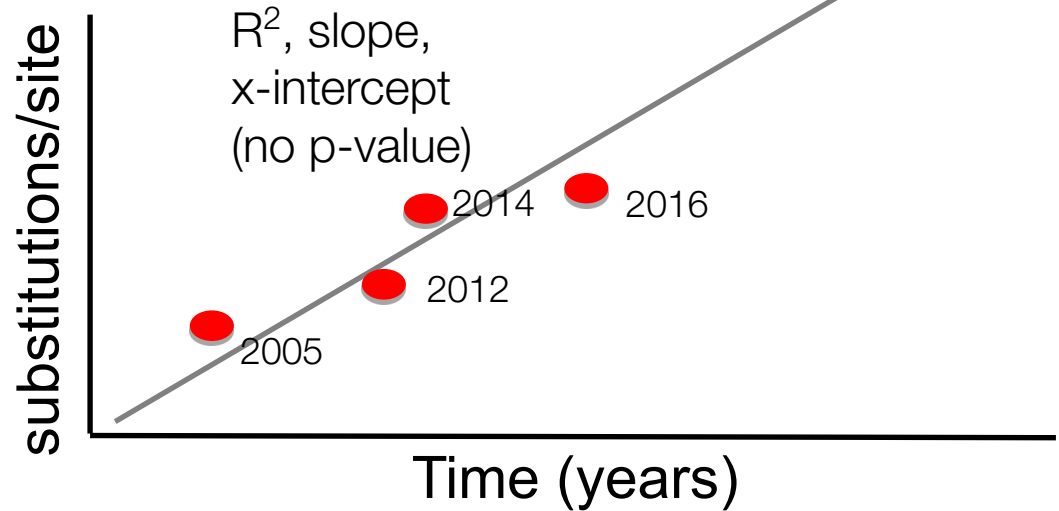
# The molecular clock

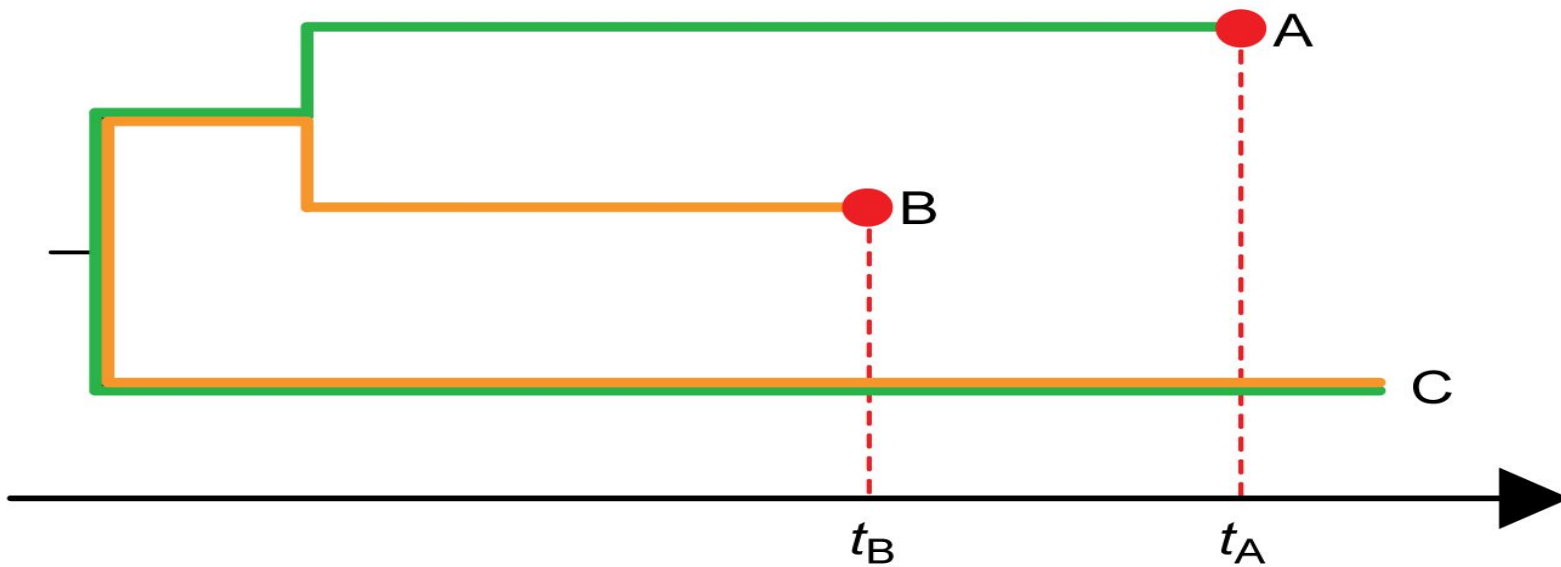
# The molecular clock

TMRCA

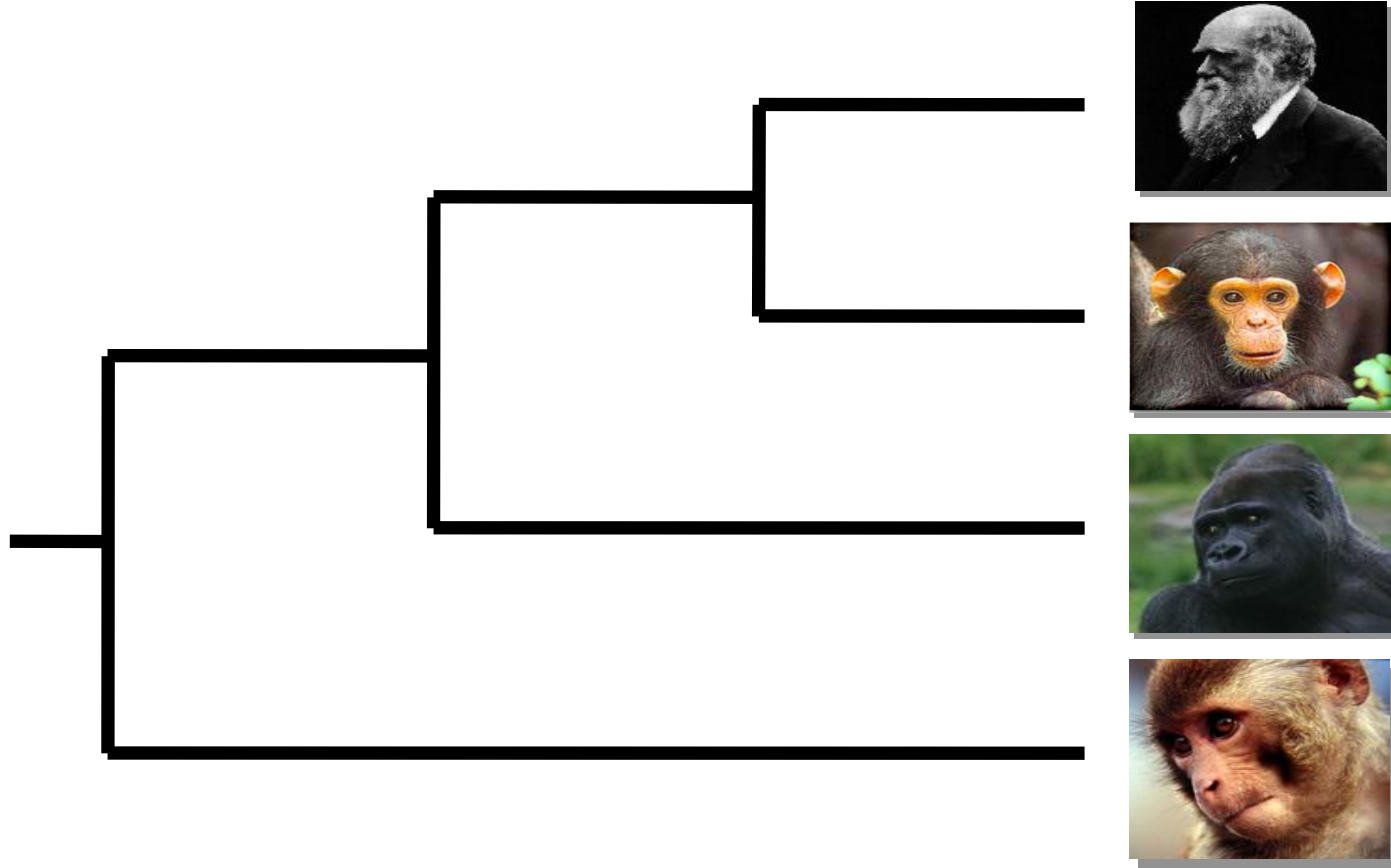


TempEst



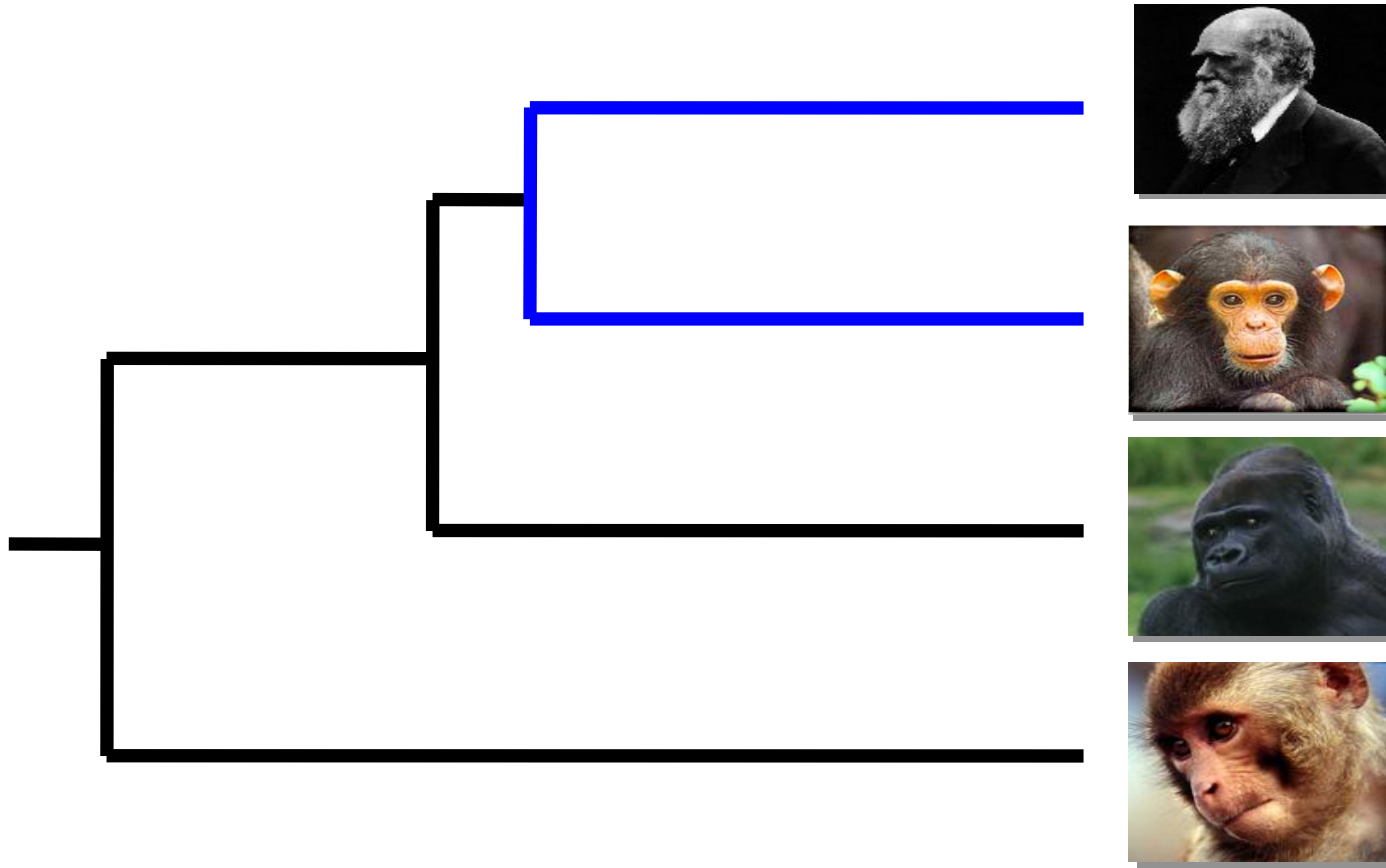


See: Rambaut (2000) Bioinformatics

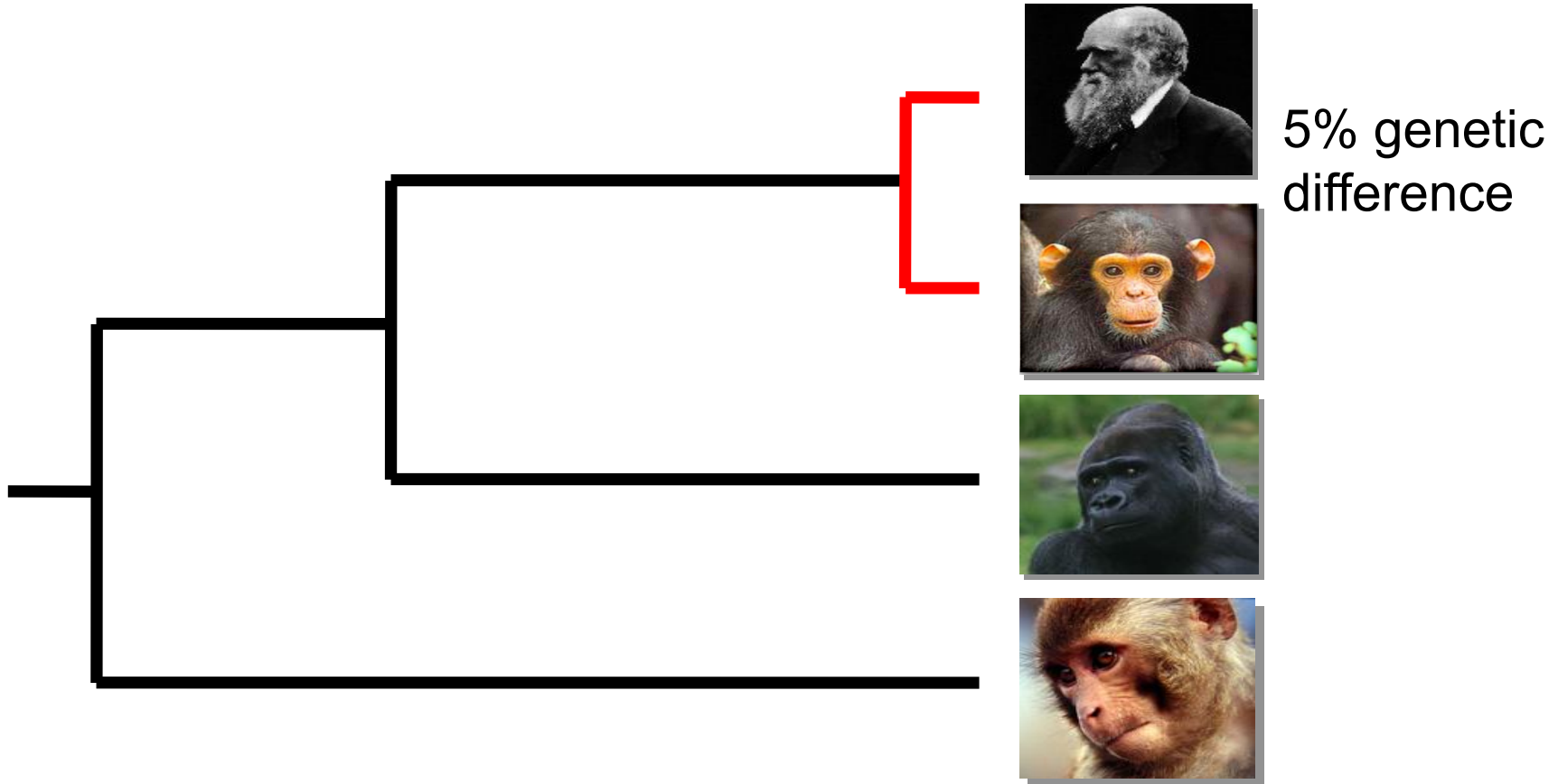


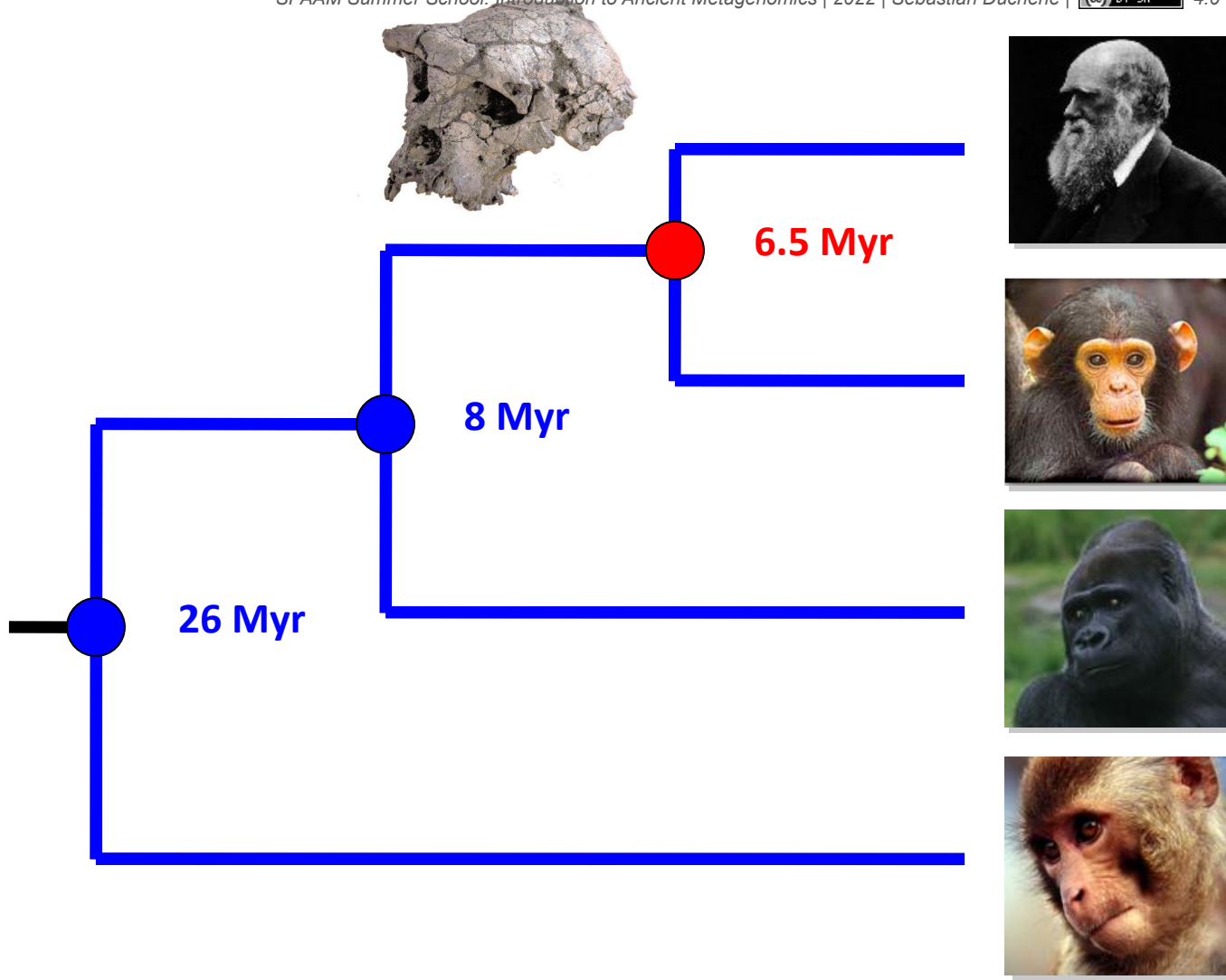
5% genetic  
difference





5% genetic  
difference





5% genetic difference

# Concept review

- The molecular clock is the assumption that substitutions accumulate
- at a roughly constant rate over time
  
- Additional information, such as sequence sampling times or fossil
- data are required for **calibration** – rates and time are **unidentifiable**
  
- The root-to-tip regression is a useful visual inspection, but it has major
- statistical limitations (do not interpret p-values)

Recommended reading:

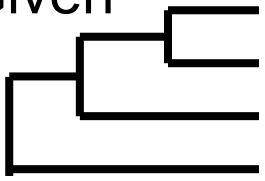
Ho & Duchene (2014) Molecular-clock methods... Molecular

Ecology

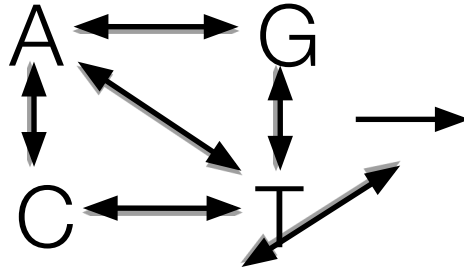
# Bayesian phylogenetics: key concepts

## Maximum likelihood

Given



+



Probability of?

CGTTAGTACACT

CGATAGTTCACT

CGTTAGTTTACC

CATTGGTTTACT

## Bayesian inference

Given

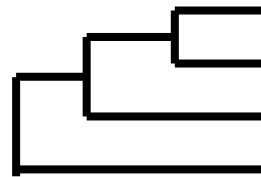
CGTTAGTACACT

CGATAGTTCACT

CGTTAGTTTACC

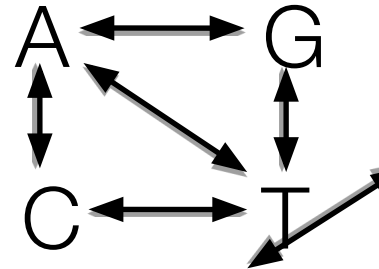
CATTGGTTTACT

→



Probability of?

+



- Parameters have distributions
- Before the data are observed, each parameter has a prior distribution
- The likelihood of the data is computed, but not maximised
- The prior distribution is combined with the likelihood to yield the posterior distribution

$$\text{Posterior} \propto \text{Prior} \times \text{Likelihood}$$

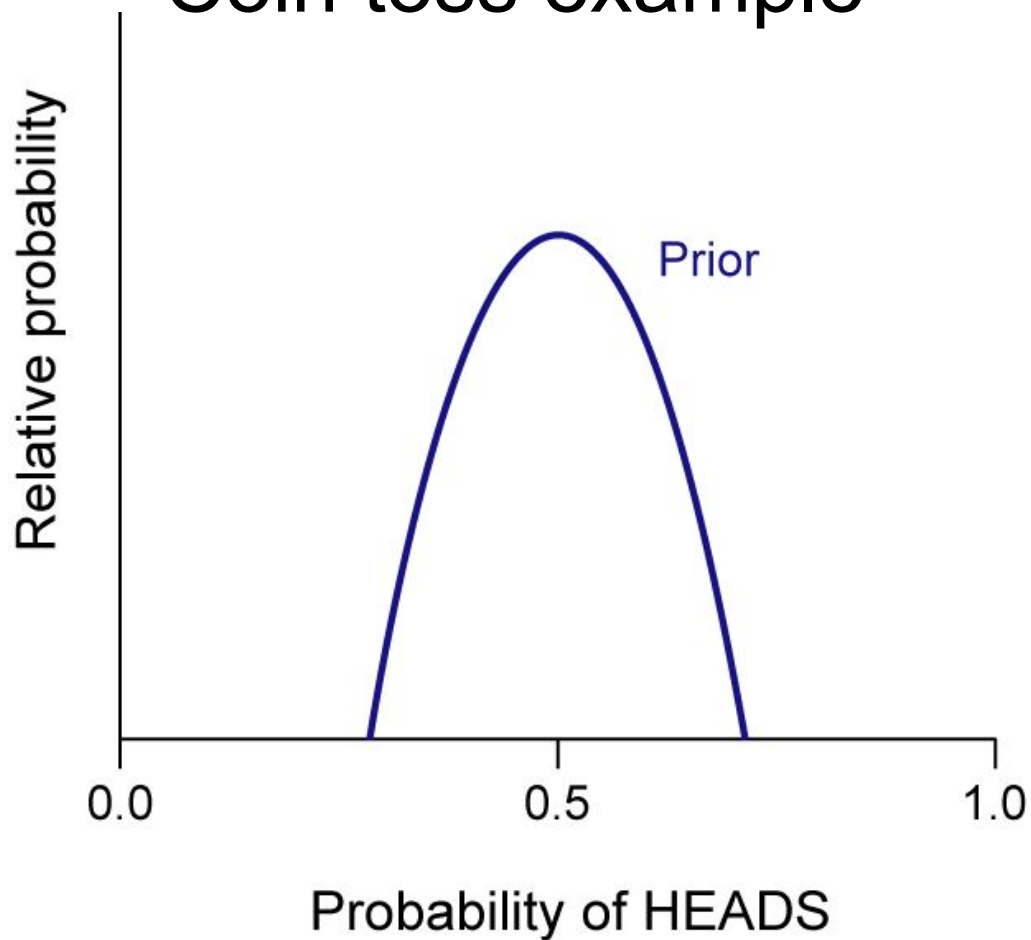
This is what we want to estimate

Specified by user, independent of data

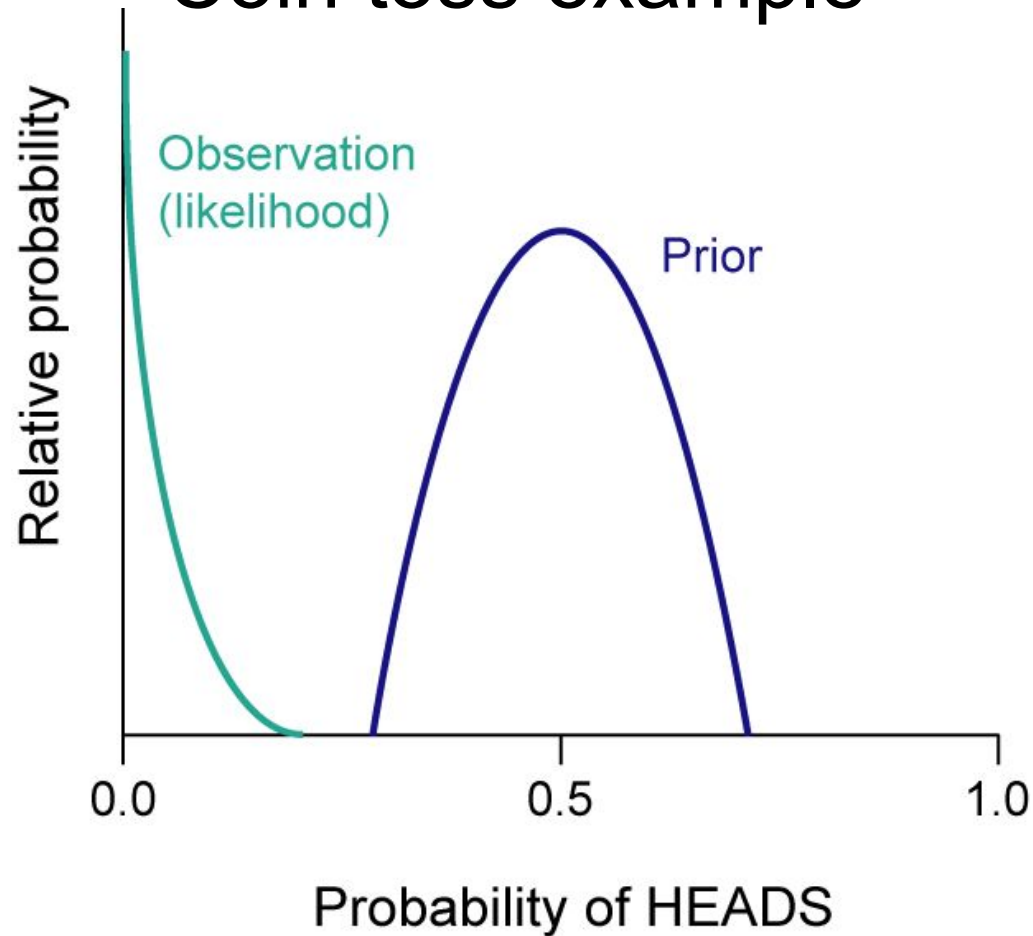
Calculated from data



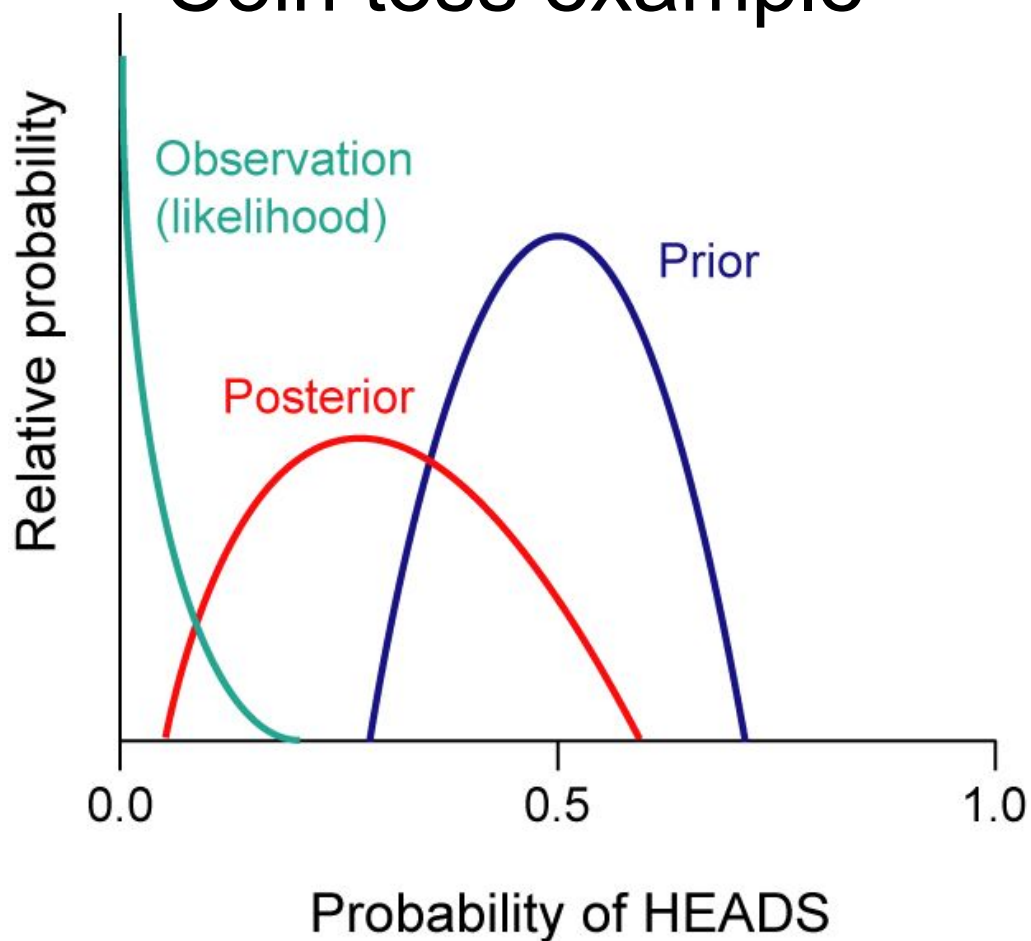
# Coin toss example



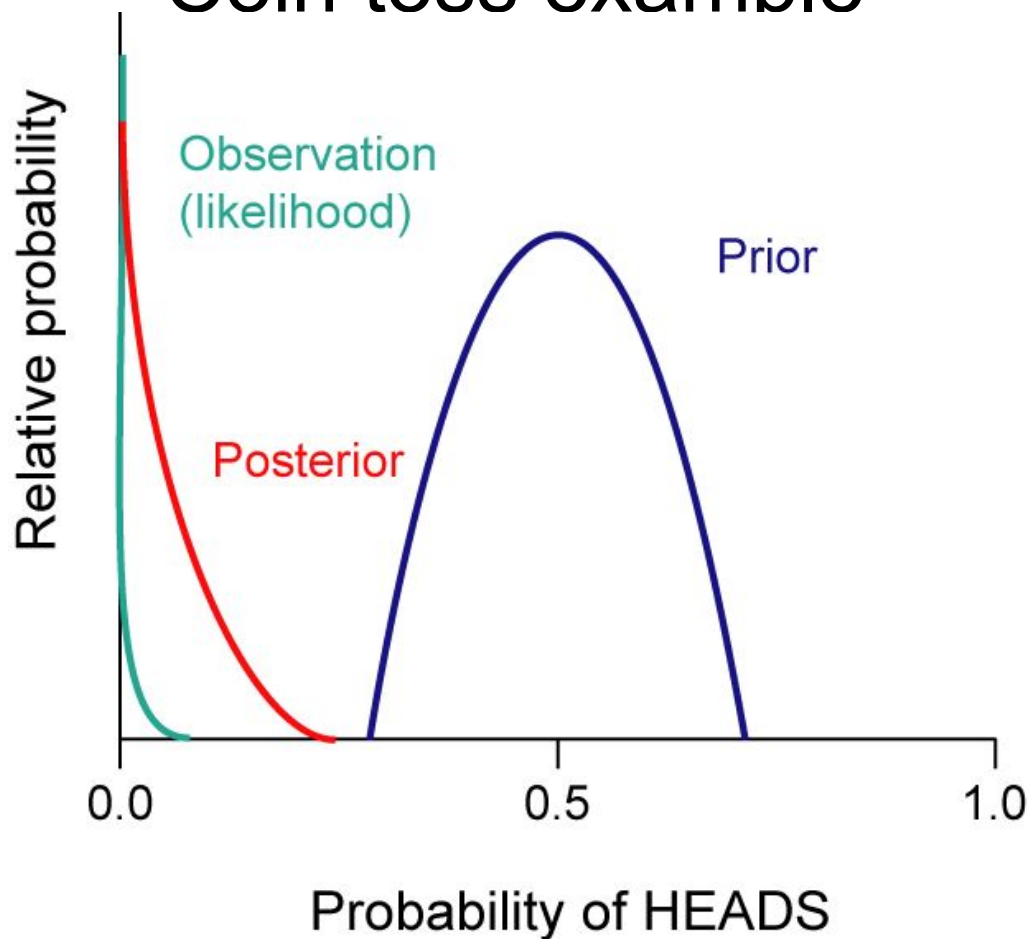
# Coin toss example



# Coin toss example



# Coin toss example



# In phylogenetic models....

Phylogenetic tree (chronogram or phylogram)



Substitution model parameters



Evolutionary rates and time



$$P(\text{Alignment} \mid \text{Chronogram} \mid \text{Branching model} \mid \text{Substitution model} \mid \text{Clock model} \mid \text{Alignment}) = \frac{P(\text{Alignment} \mid \text{Chronogram} \mid \text{Branching model} \mid \text{Substitution model} \mid \text{Clock model}) P(\text{Chronogram} \mid \text{Branching model}) P(\text{Branching model}) P(\text{Substitution model}) P(\text{Clock model})}{P(\text{Alignment})}$$



Alignment



Chronogram

Branching model  
(can be an epi model)Substitution  
modelClock  
model

For the tree prior we can use an epidemiological process to generate **chronograms**.

The phylogenetic likelihood is obtained by multiplying branching times by rates to obtain a **phylogram**

$$P(\text{Chronogram} \mid \text{Alignment}) = \frac{P(\text{Alignment} \mid \text{Chronogram}) P(\text{Chronogram}) P(\text{Branching model}) P(\text{Substitution model}) P(\text{Clock model})}{P(\text{Alignment})}$$



Alignment



Chronogram

Branching model  
(can be an epi model)Substitution  
modelClock  
model

Note that the normalising constant,  $P(\text{alignment})$ , known as the marginal likelihood, is useful for model selection, but not usually computed.

# Concept review

- Bayesian analyses also require computing a **likelihood**
- The prior is essential for Bayesian analyses and usually obtained
- independently of the data
- We can specify more sophisticated models via the tree prior and
- the molecular clock model

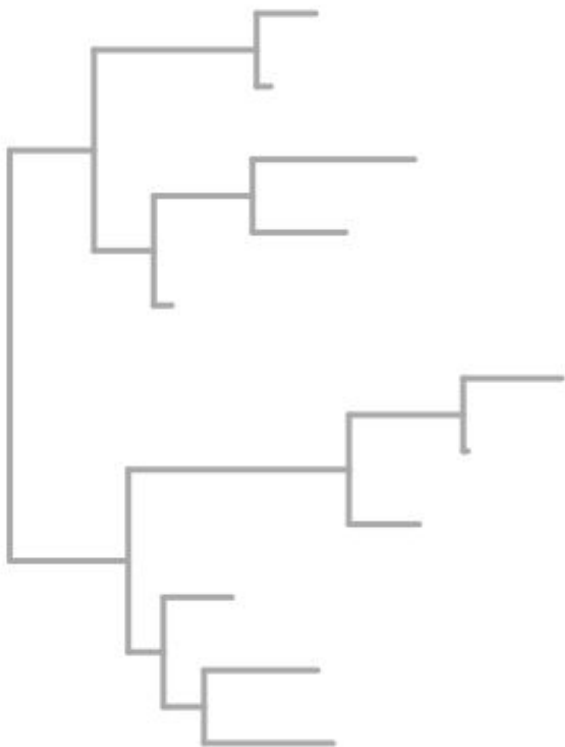
Recommended reading:

Bromham et al. (2018) Bayesian molecular dating... Biological

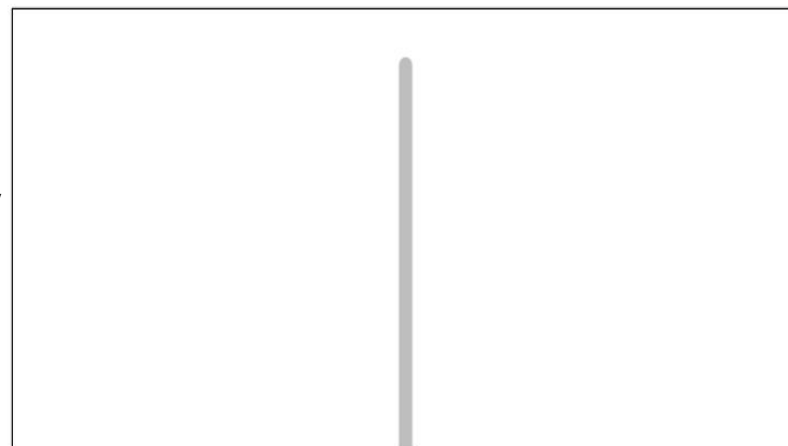


# Bayesian phylogenetics: incorporating time and demography

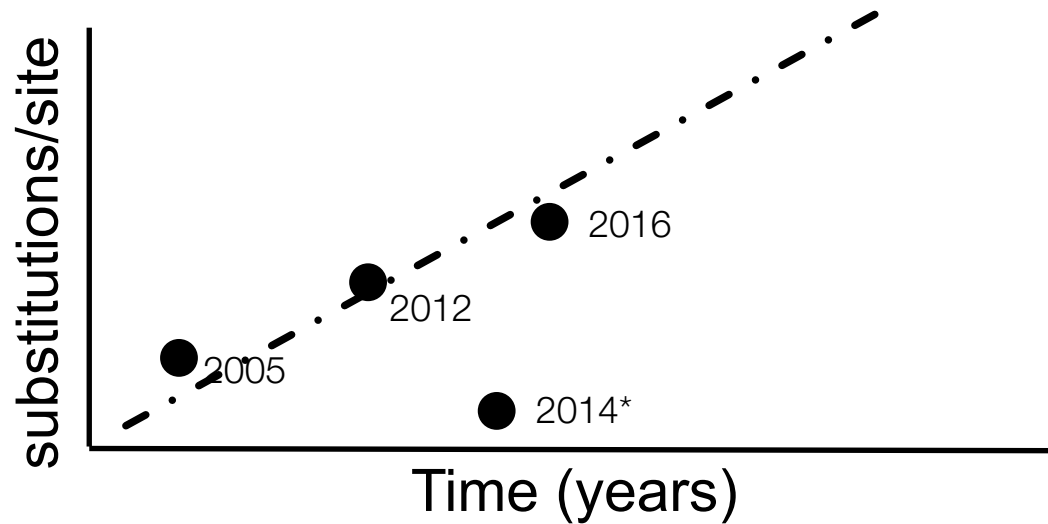
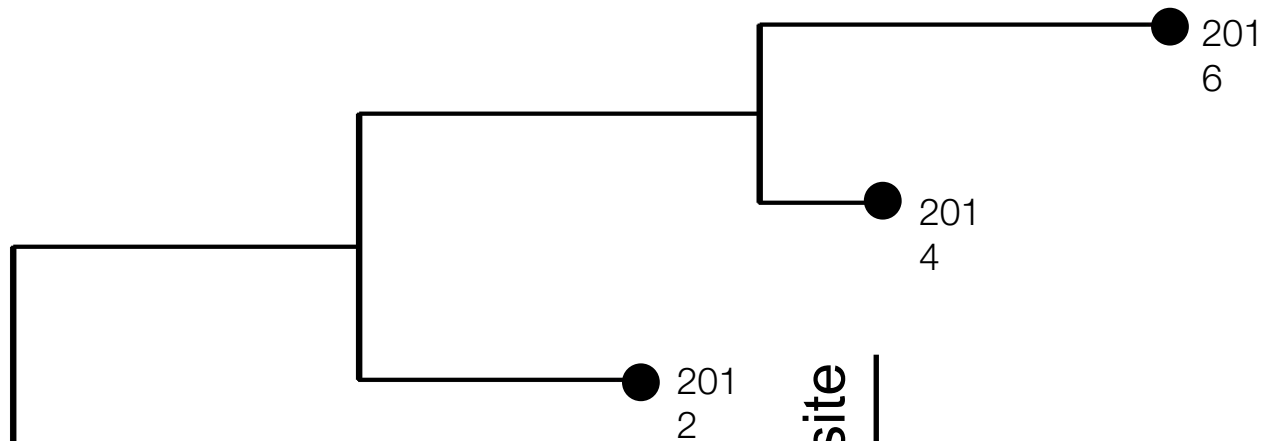
# A **strict** molecular clock



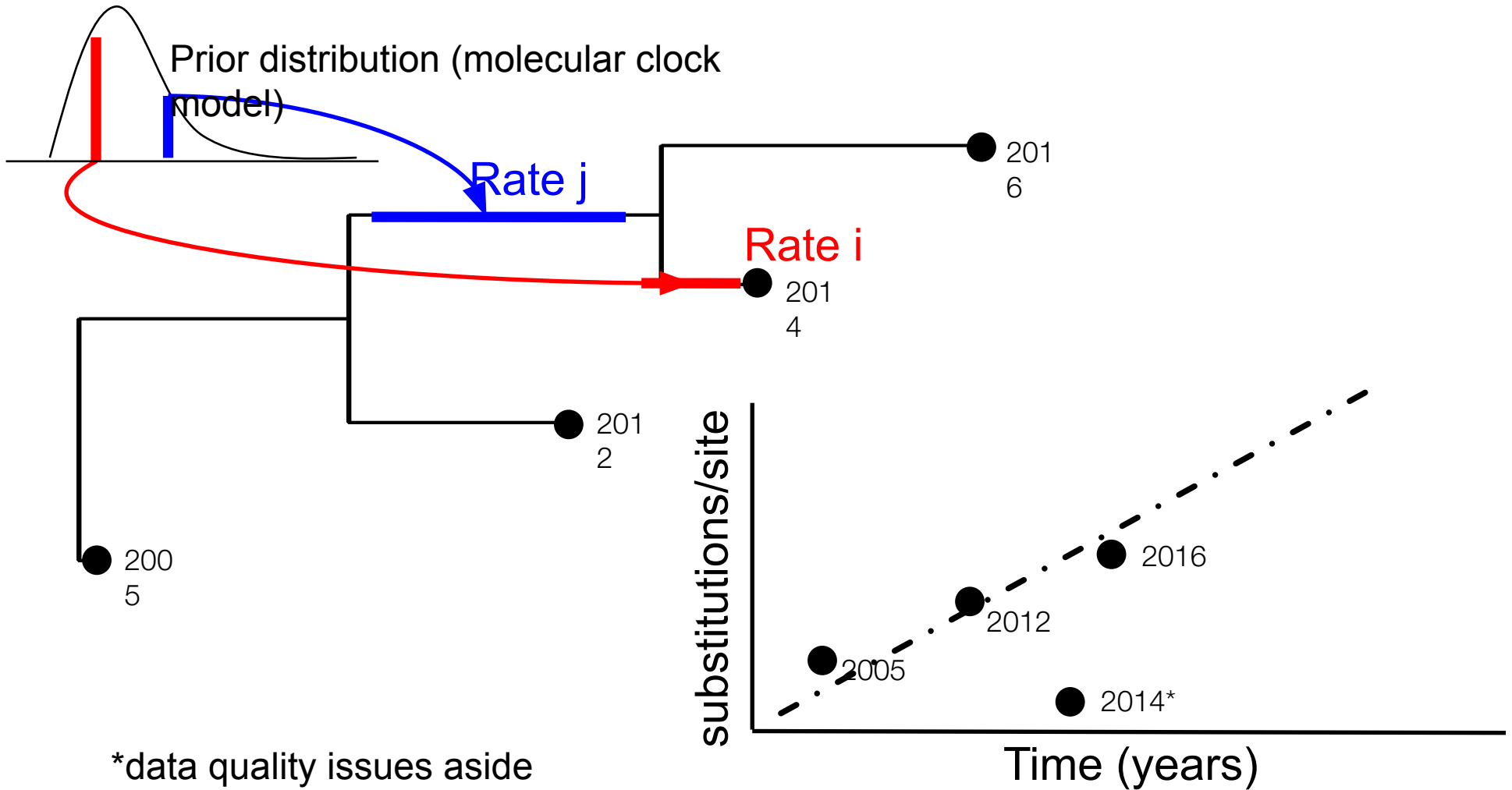
Prob. density



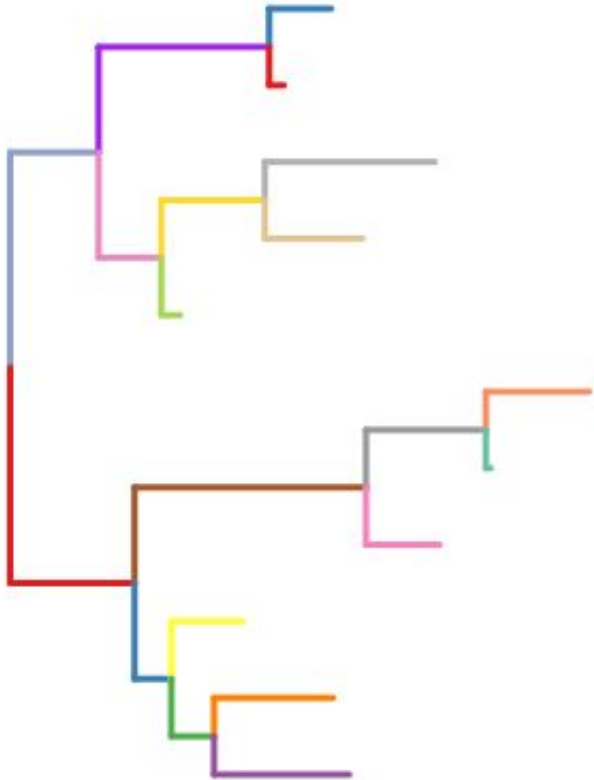
Evolutionary rate (subs/site/year)



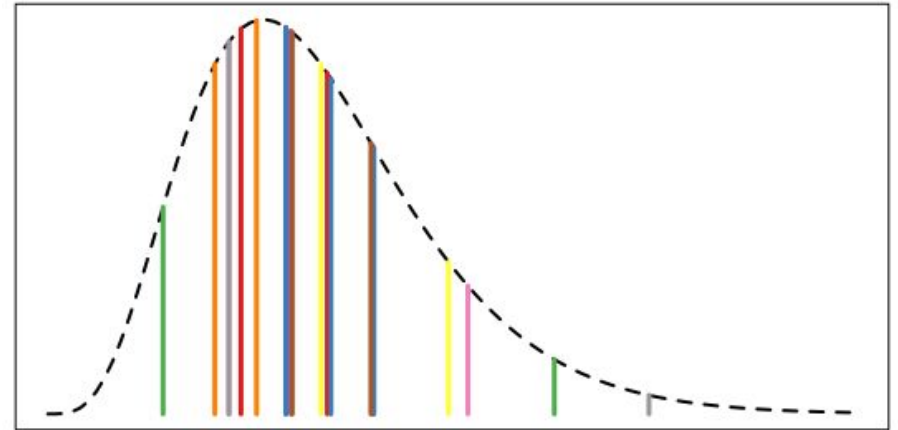
\*data quality issues aside



# A relaxed molecular clock



Prob. density

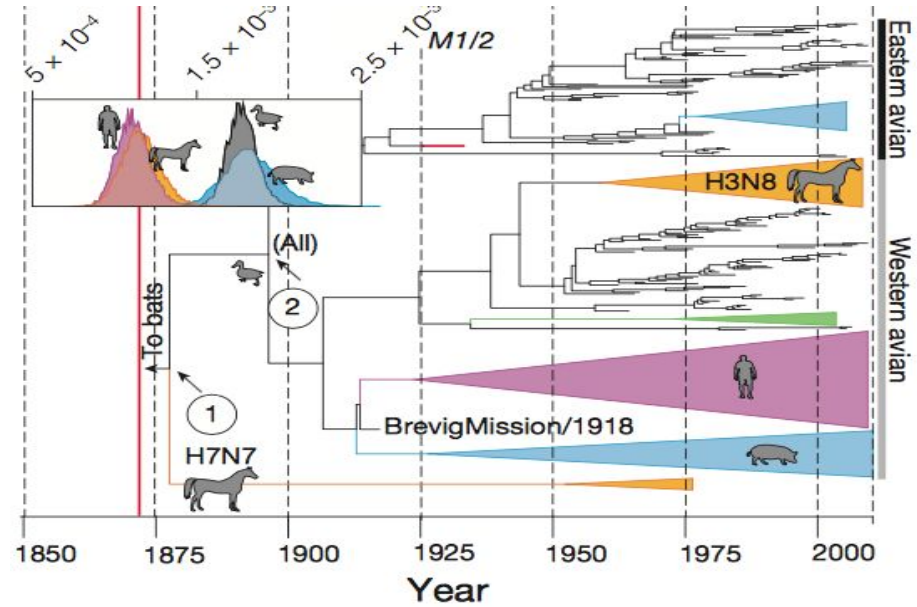
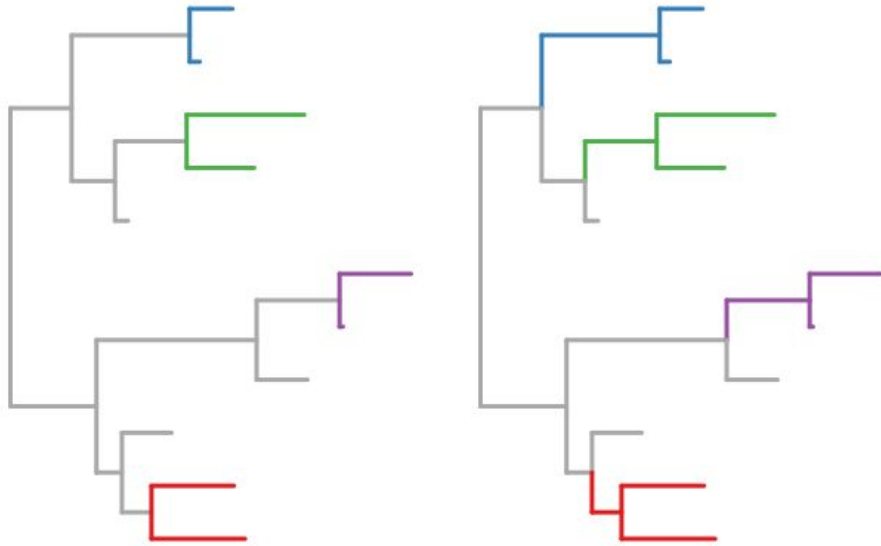


Evolutionary rate (subs/site/year)

Gamma  
distro:  
 $\Gamma [\alpha, \beta]$   
Mean =  $\alpha / \beta$

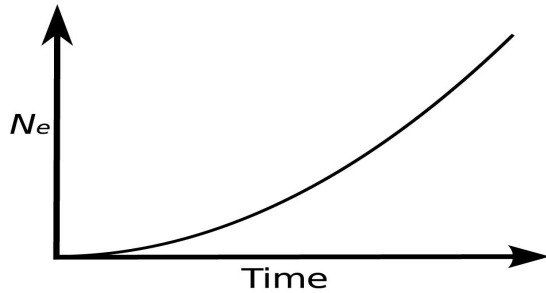
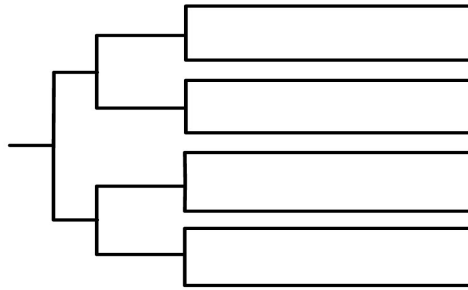
Lognormal distro:  
LNorm  $[\mu, \sigma^2]$   
Mean =  $e^{\mu + \sigma^2 / 2}$

# Local molecular clocks

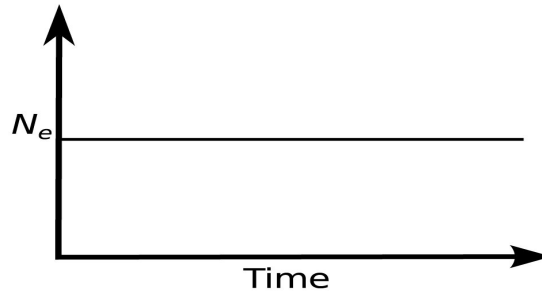
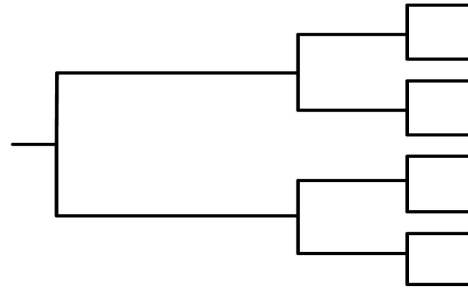


# Tree priors

Exponential Growth



Constant Population Size



From Volz et al. 2013

Recommended reading:  
Featherstone et al. (2022). Epidemiological Inference From Pathogen Genomes... Virus Evolution

# Concept review

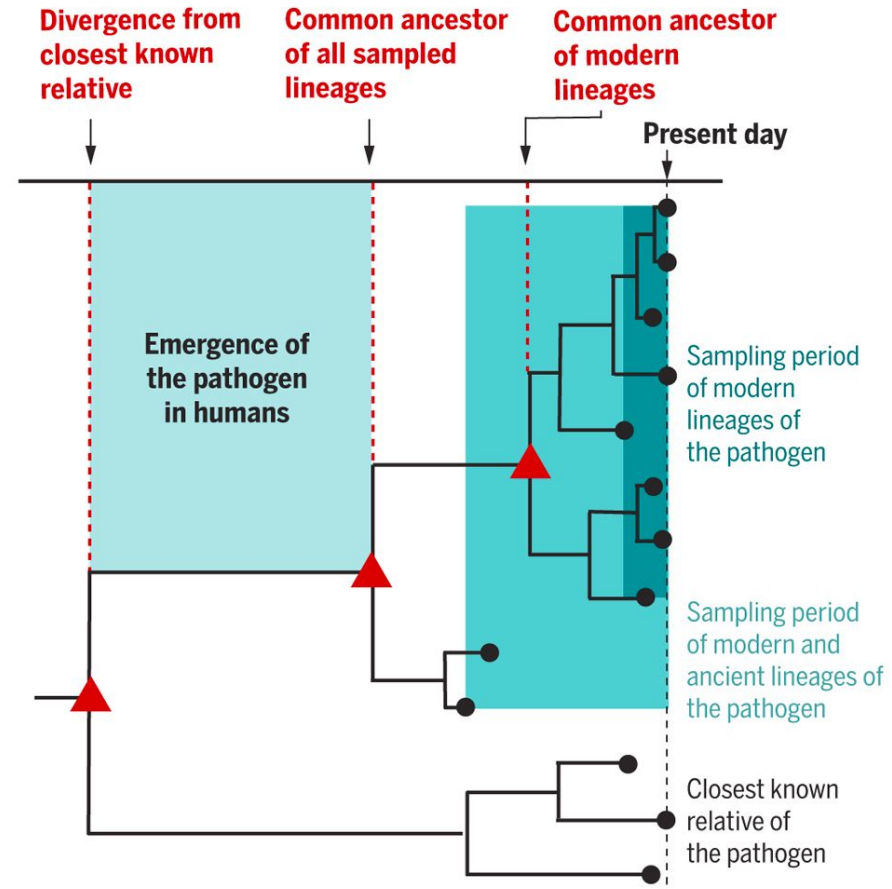
- Bayesian molecular clock models can be proposed based on
  - statistical convenience or biological motivation
- Demographic/epi models can inform us about changes in population
  - size and genetic diversity – they are incorporated via the tree prior
- See how to sample the posterior distribution and summarise parameters
  - and trees in the prac later today



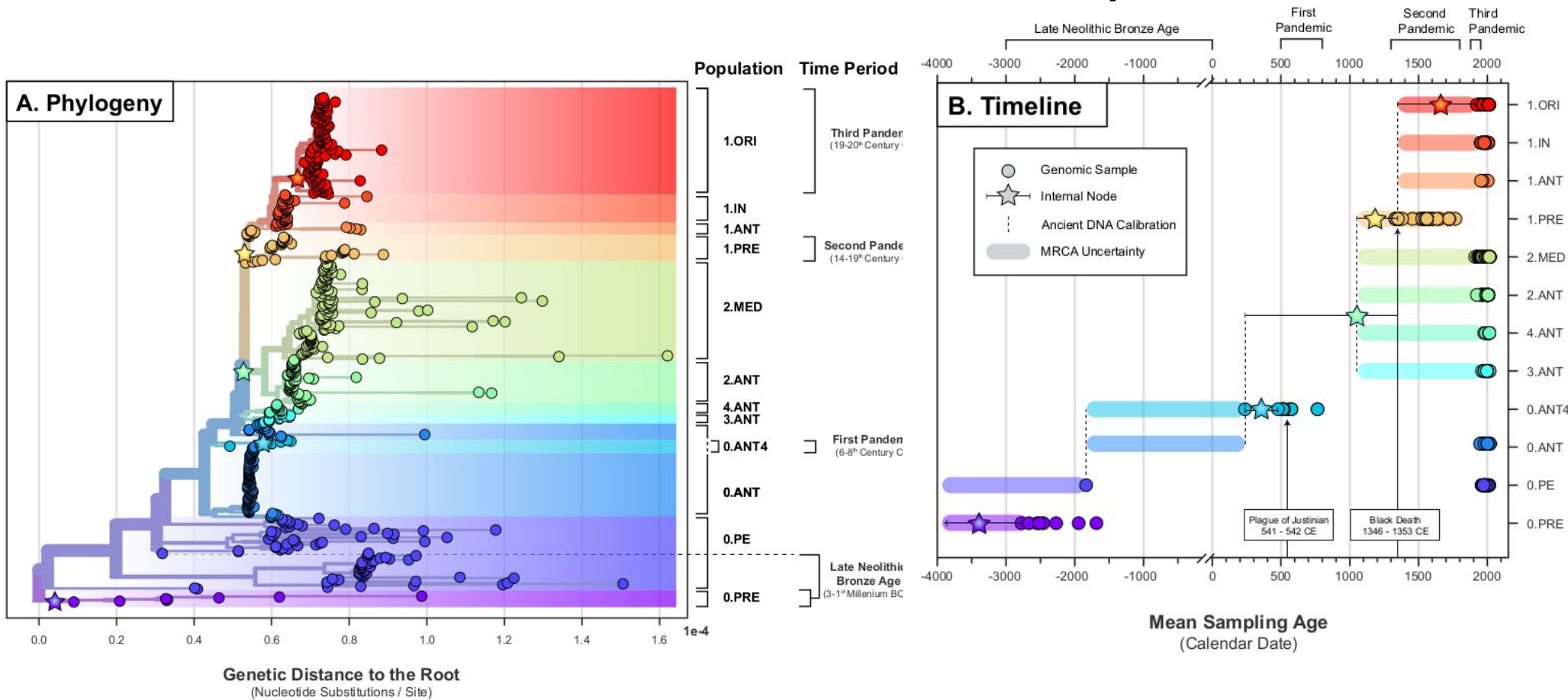
# Molecular clock in ancient DNA data

# • Considerations for ancient DNA data

- Highly informative because the sampling window can be very wide
- (temporal signal)
- Often many variable sites → lots of information, but also lots of computing
- The molecular clock rarely holds



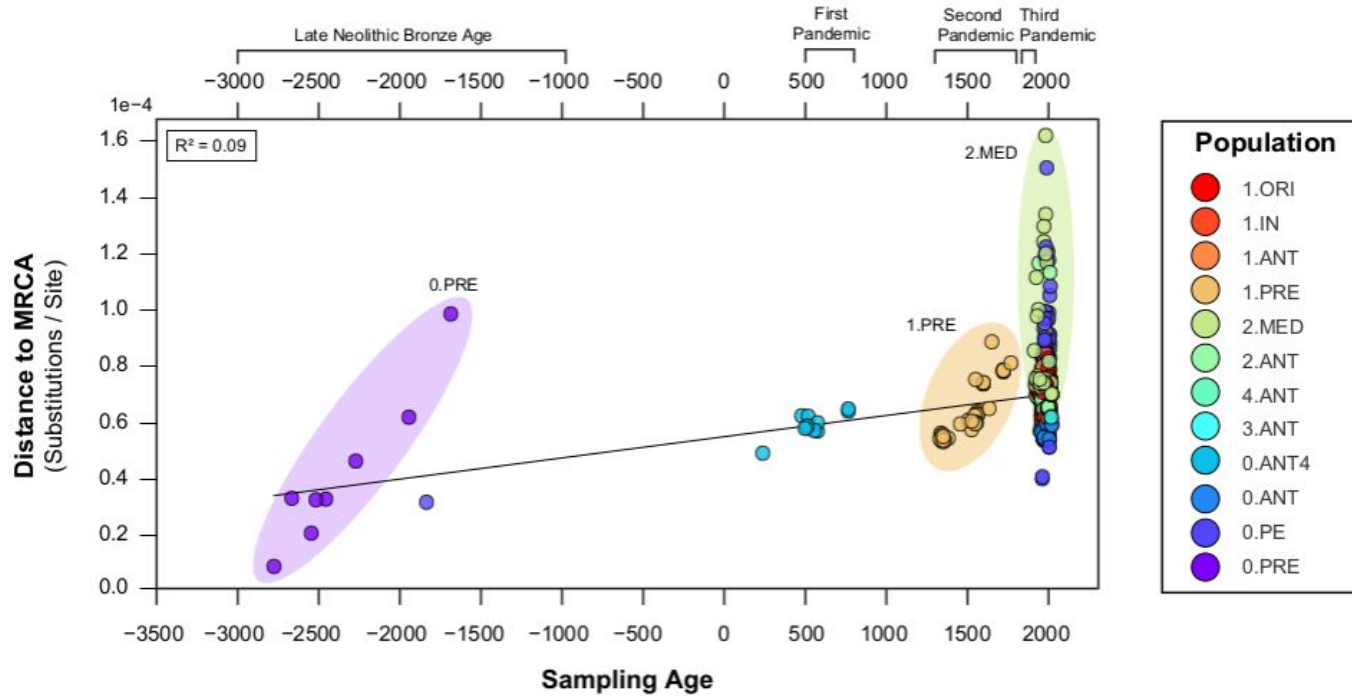
# The molecular clock of *Yersinia pestis*



From Eaton et al 2022

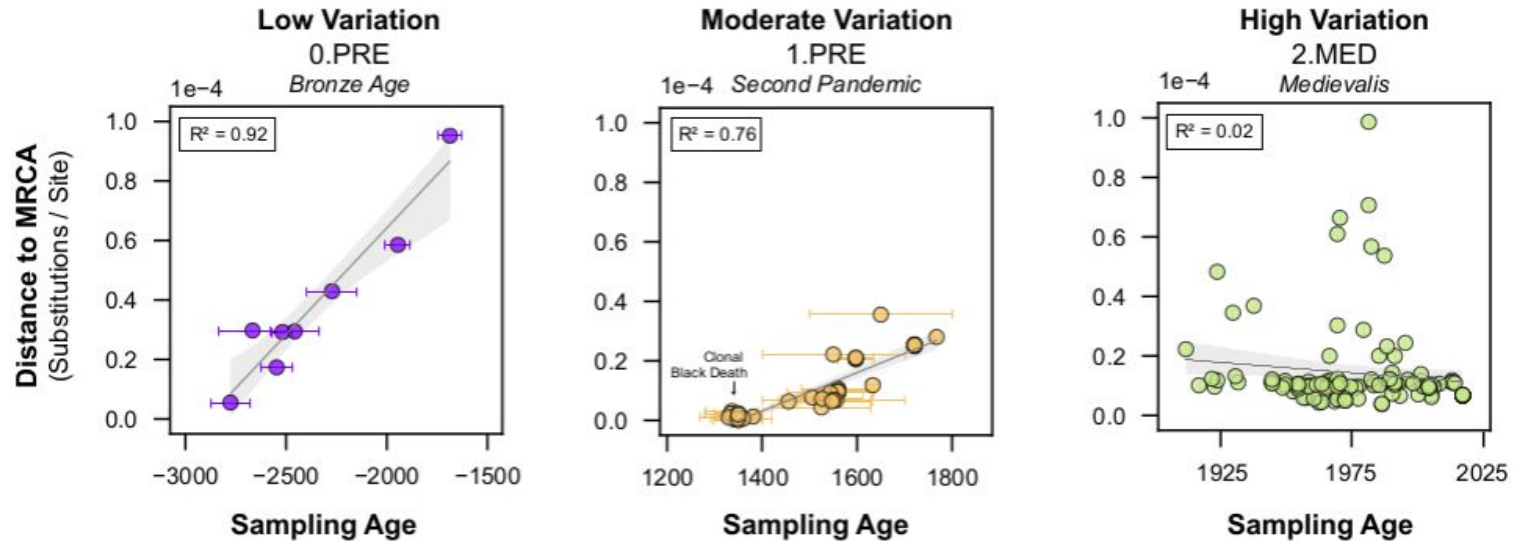
# The molecular clock of *Yersinia pestis*

## A. Root-To-Regression

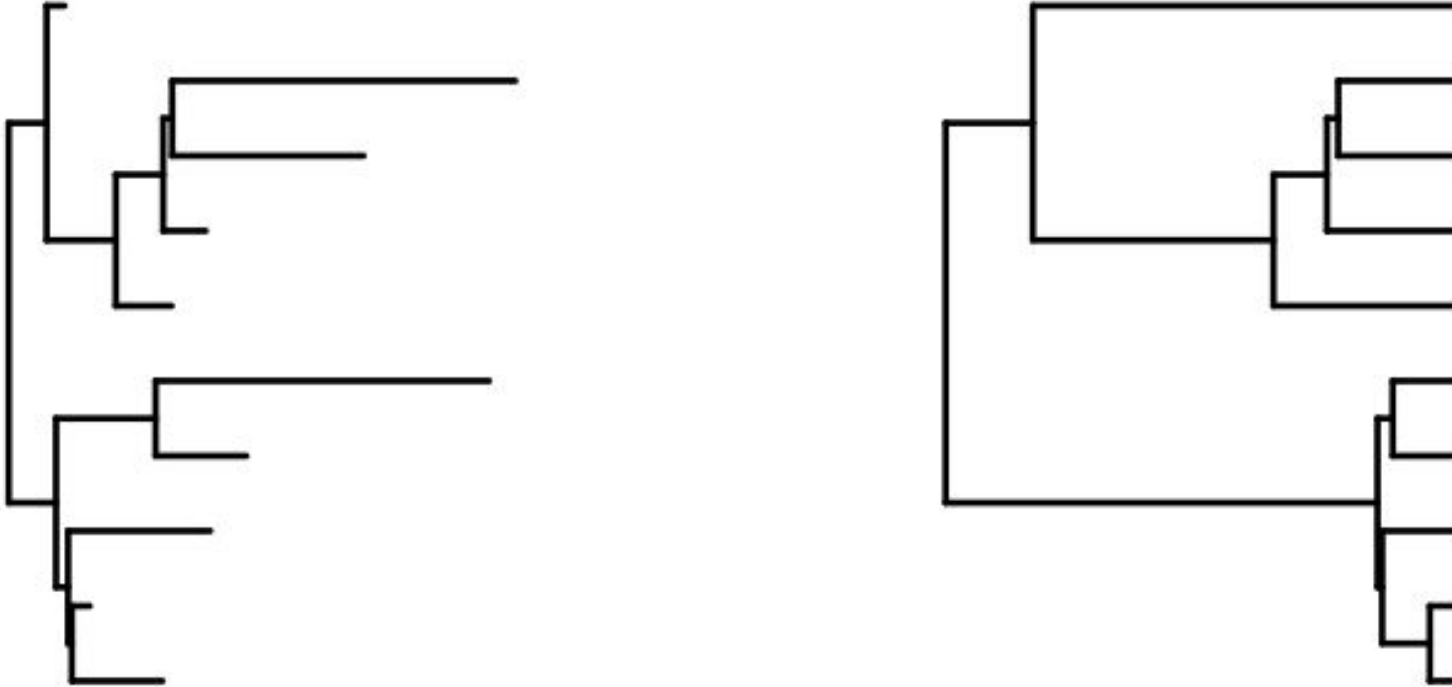


# The molecular clock of *Yersinia pestis*

## B. Root-To-Tip Regression by Population



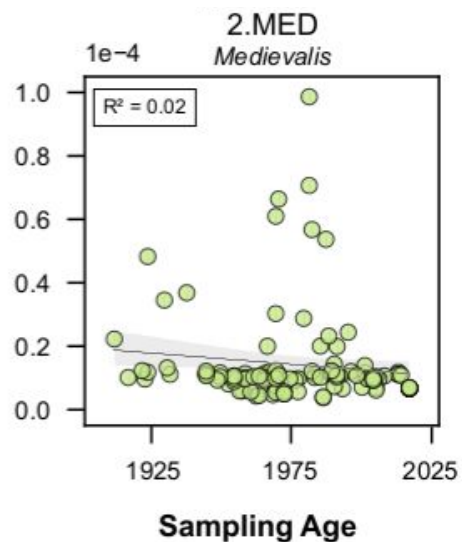
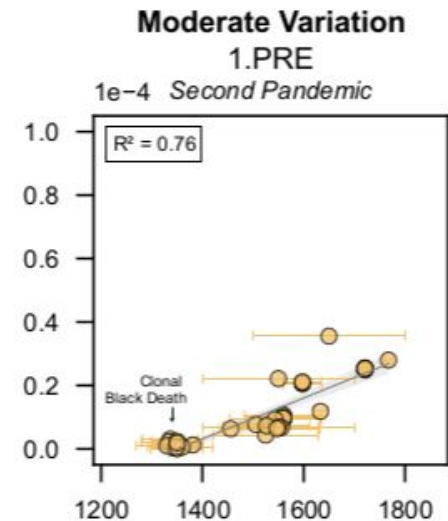
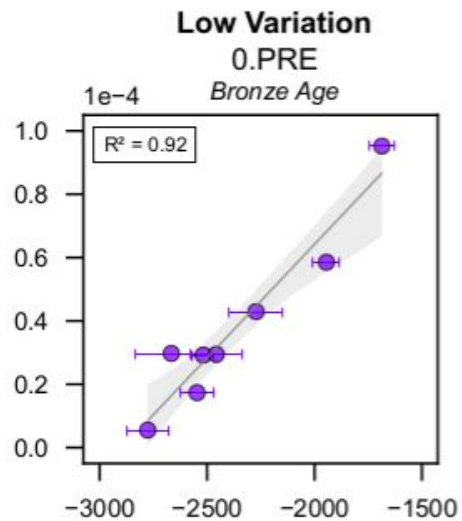
# Bayesian Evaluation of Temporal Signal (BETS)



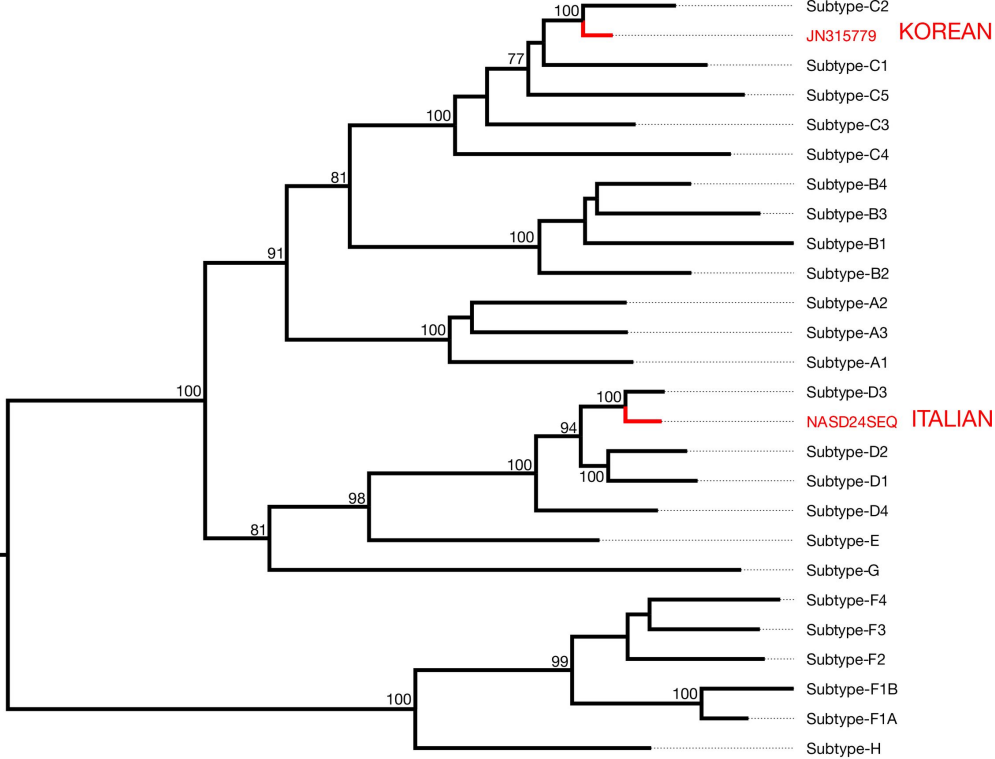
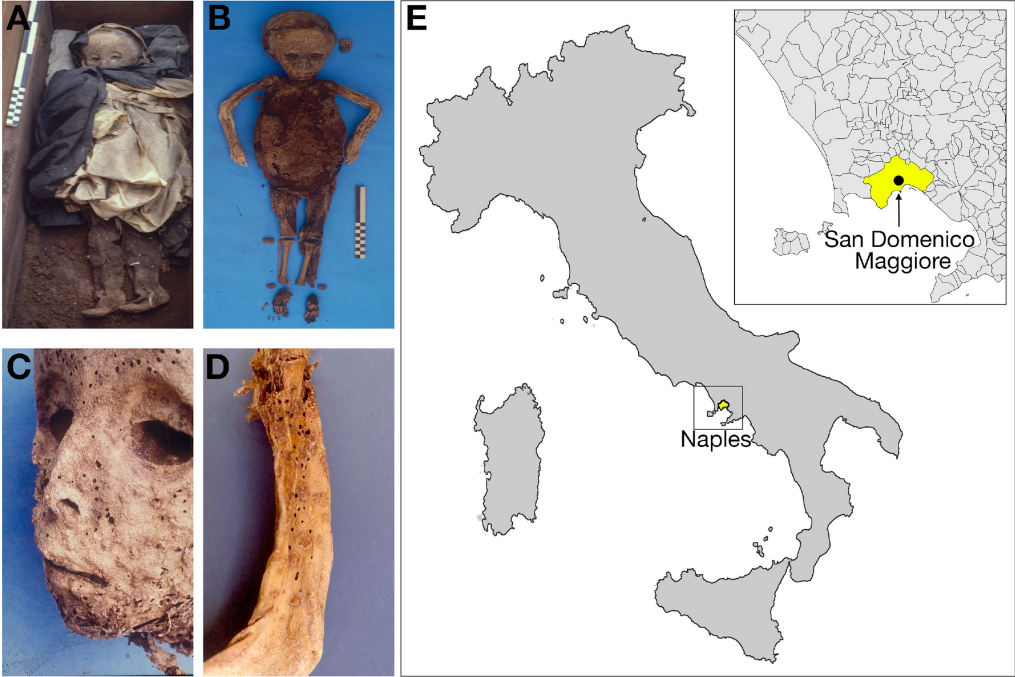
See:

Duchene et al. (2020). Bayesian evaluation of temporal signal... *Molecular Biology and Evolution*

Population	Genomes	Best Model	Bayes Factor
1.ORI	117	Relaxed Clock Dates	35.7
1.IN	39	Relaxed Clock No Dates	-10.3
1.ANT	4	Relaxed Clock Dates	12.7
1.PRE *	40	Relaxed Clock Dates	44.1
2.MED *	116	Relaxed Clock Dates	3.9
2.ANT	54	Relaxed Clock No Dates	-13.4
4.ANT	11	Relaxed Clock Dates	3.6
3.ANT	11	Relaxed Clock No Dates	-11.2
0.ANT4	12	Relaxed Clock Dates	5.9
0.ANT	103	Relaxed Clock Dates	13297.7
0.PE	85	Relaxed Clock Dates	12.4
0.PRE *	8	Relaxed Clock No Dates*	-2.8

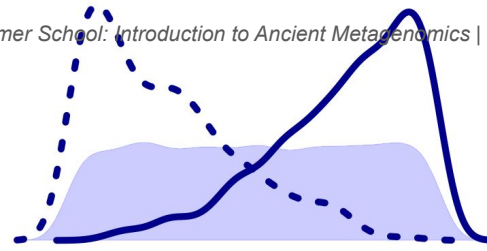
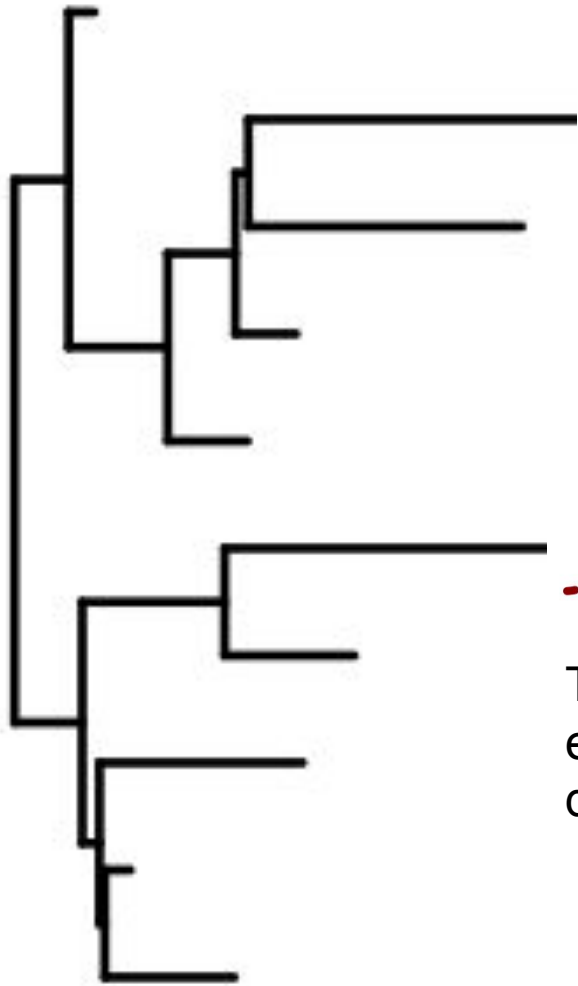


# The molecular clock of *Hepatitis B Virus*

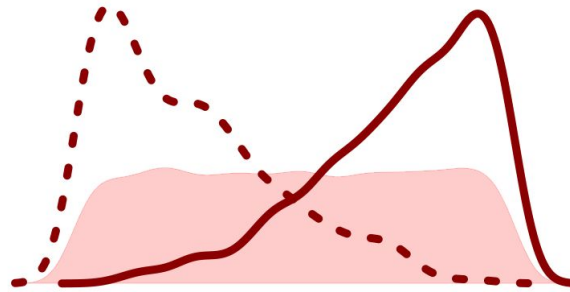


Modern or ancient?

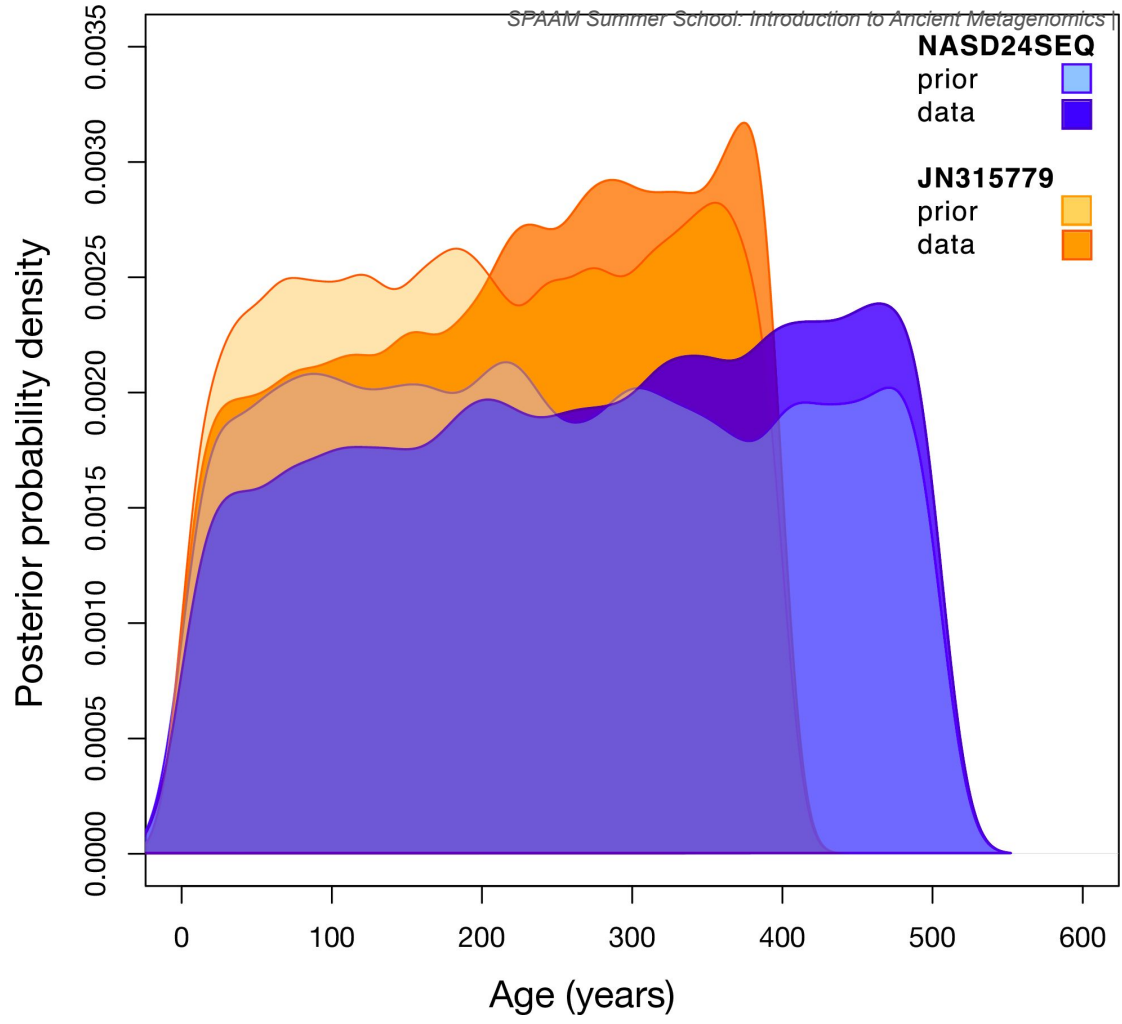




For ancient samples use prior with low information content (e.g.  $U(\text{collection date, present})$ ).



The posterior reflects the evidence for a particular date (--- or -)



The data are not sufficiently informative to override the prior!

# Thank you!

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MELBOURNE**