

Parallel Evaluation of Multi-Semi-Joins

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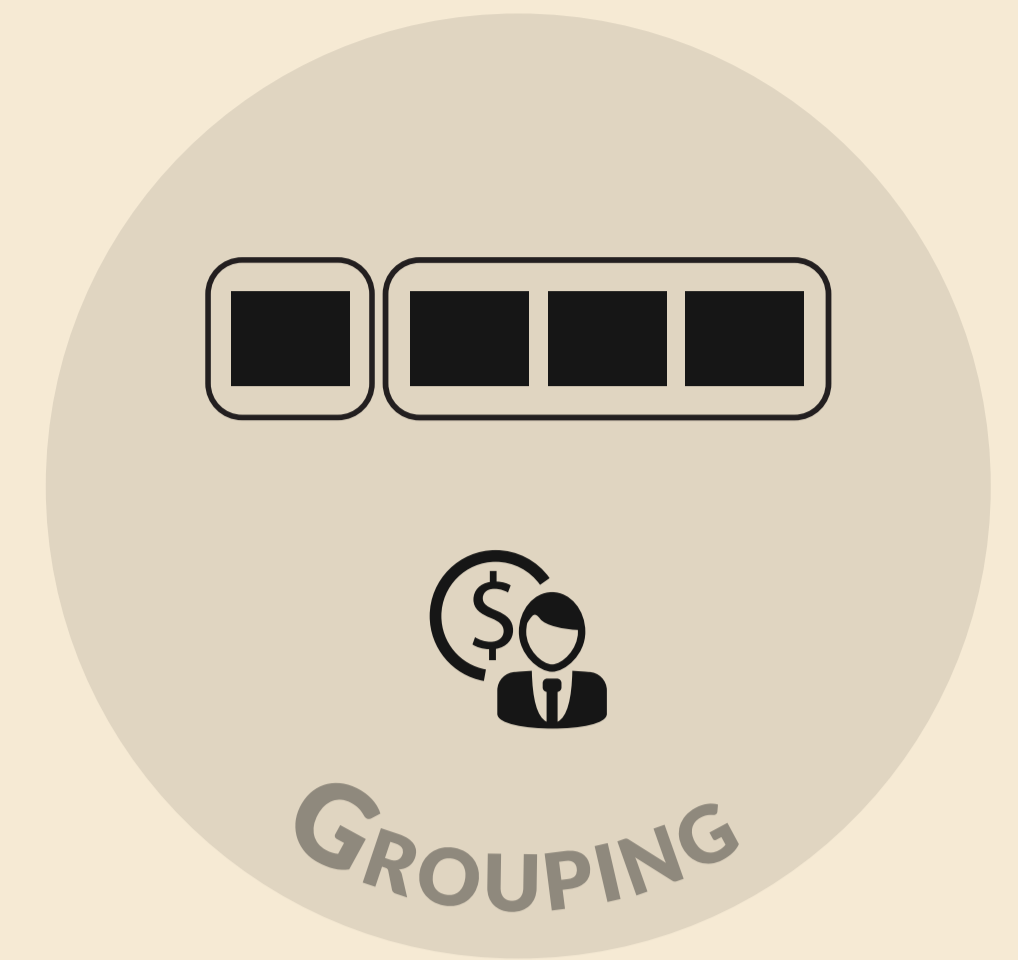
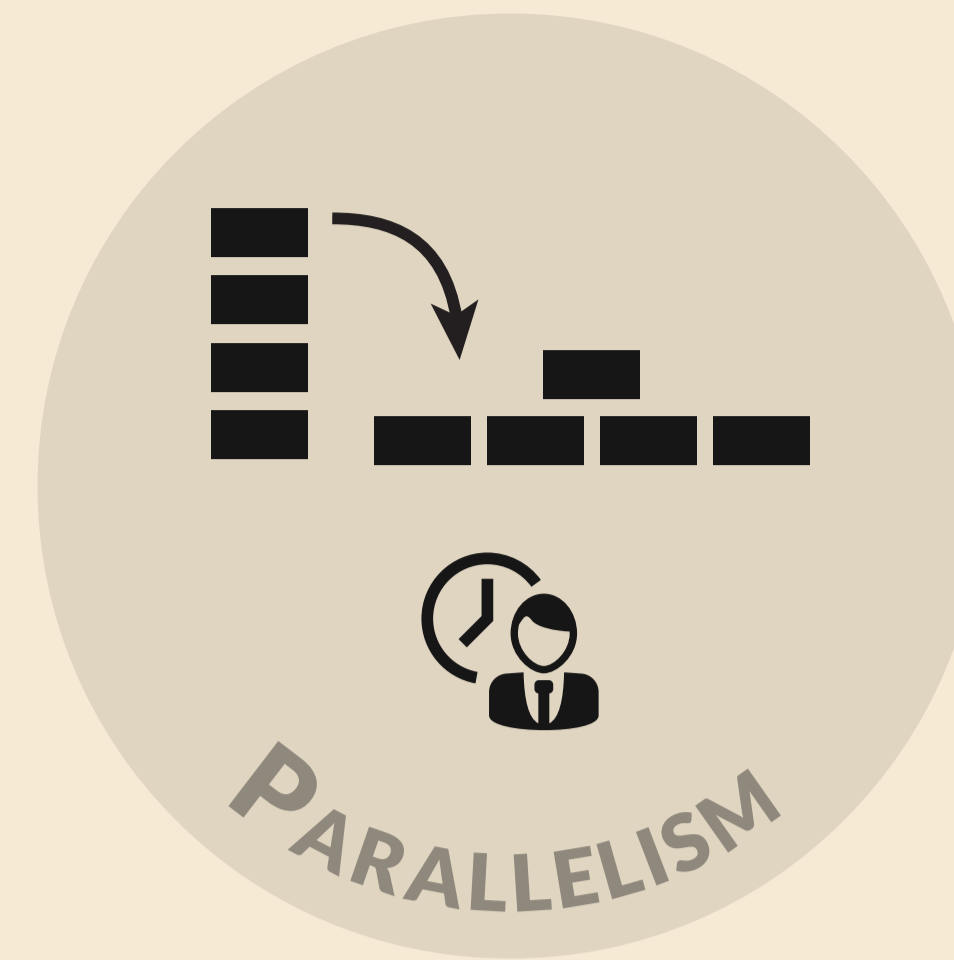
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Problem

- Cloud (AWS, GCP, etc.) Pay-as-you-go
- Keep low time Minimize resource usage
- SGF Queries Parallel queries Minimize total time



Semi-Joins

$$R \times S = \pi_{R.*}(R \bowtie S)$$

$$R \bowtie S = (R \times S) \bowtie (S \times R)$$

0	1	1	2
1	2	1	4
8	1	3	8

Semi-Join Reducers

Reduce Communication Overhead

Bernstein et al. 1981
Yannakakis 1981
GYM (Afrati et al. 2014)

BSGF Queries

```

SELECT x, y
FROM R(x, y, z)
WHERE
  S(x, y) AND S(y, x) OR NOT T(x, w)
    
```

1 Guard Atom
Boolean Combination
Conditional Atoms

```

X1 = SELECT x, y, z FROM R(x, y, z) WHERE S(x, y)
X2 = SELECT x, y, z FROM R(x, y, z) WHERE S(y, x)
X3 = SELECT x, y, z FROM R(x, y, z) WHERE T(x, w)
    
```

2 Rounds

EVAL(R, φ)
MSJ(X1, X2) MSJ(X3)

SGF Queries

Strictly Guarded Fragment
Nesting
GF ~ Semi-Join Algebra
Stricly = no top-level Boolean combinations

```

Z1 = SELECT aut FROM Amazon(title, aut, 'bad')
WHERE BN(title, aut, 'bad') AND
BD(title, aut, 'bad')

Z2 = SELECT newttl FROM Upcoming(newttl, aut)
WHERE NOT Z1(aut)
    
```

MSJ

R	0	1	8
	0	2	9
	3	4	10

S	4	3
	1	0
	3	2

T	1	0
	0	4
	7	9

0,1 REQUEST S(x,y) R(0,1,8)
1,0 REQUEST S(y,x) R(0,1,8)
0 REQUEST T(x,w) R(0,1,8)

1,0 REQUEST S(x,y)
1,0 ASSERT S(y,x)
0 ASSERT T(x,w)

EVAL

R(0,1,8) CONFIRM S(y,x)
CONFIRM T(x,w)

R(0,2,9) CONFIRM T(x,w)

R(3,4,10) CONFIRM S(x,y)

Project R(x,y,z) on (x,y)
Fill in Boolean Formula
(0,1) (False AND True) OR True
Output (0,1)

Cost Model

MAP PHASE: read → map → sort → merge → trans. → merge → reduce → write
INTERMEDIATE DATA

REDUCE PHASE: write

$$cost_{map}(N_i, M_i) = h_r N_i + merge_{map}(M_i) + l_w M_i$$

$$cost_{red}(M, K) = tM + merge_{red}(M) + h_w K$$

$$cost_{th} + \sum_{i=1}^k cost_{map}(N_i, M_i) + cost_{red}(M, K)$$

Non-uniform input contribution

BSGF-OPT

NP-hard (Nykiel et al. 2010)
Greedy:

X1	0	+200	+300
X2	0	0	-100
X3			0

(a) EVAL Z = X1 ∧ (X2 ∨ ¬X3)
MSJ X1 = R(x,y) × S(x,z)
MSJ X2 = R(x,y) × T(y)
MSJ X3 = R(x,y) × U(x)

(b) EVAL Z = X1 ∧ (X2 ∨ ¬X3)
MSJ X1 = R(x,y) × S(x,z)
MSJ X2 = R(x,y) × T(y)
MSJ X3 = R(x,y) × U(x)

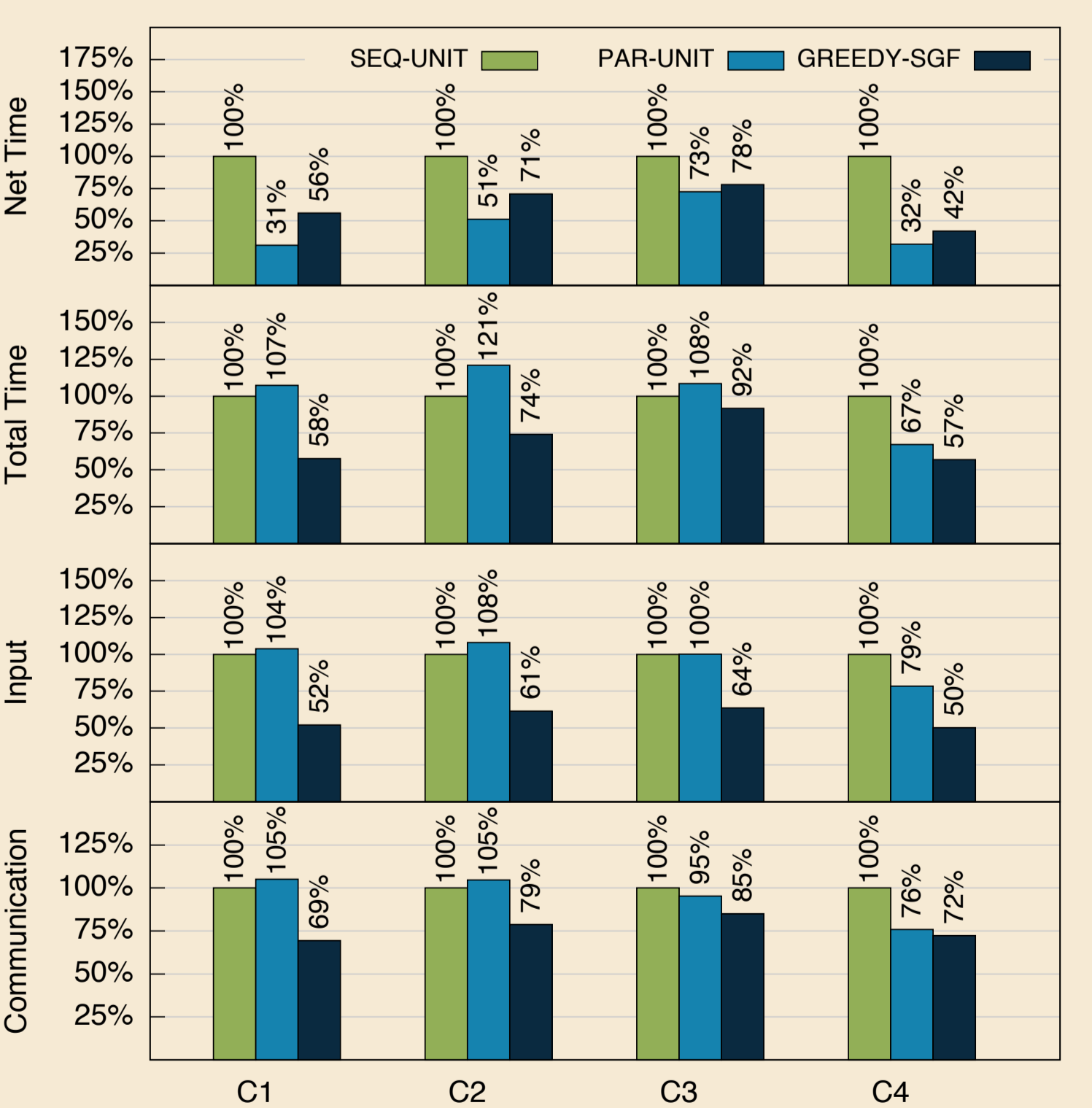
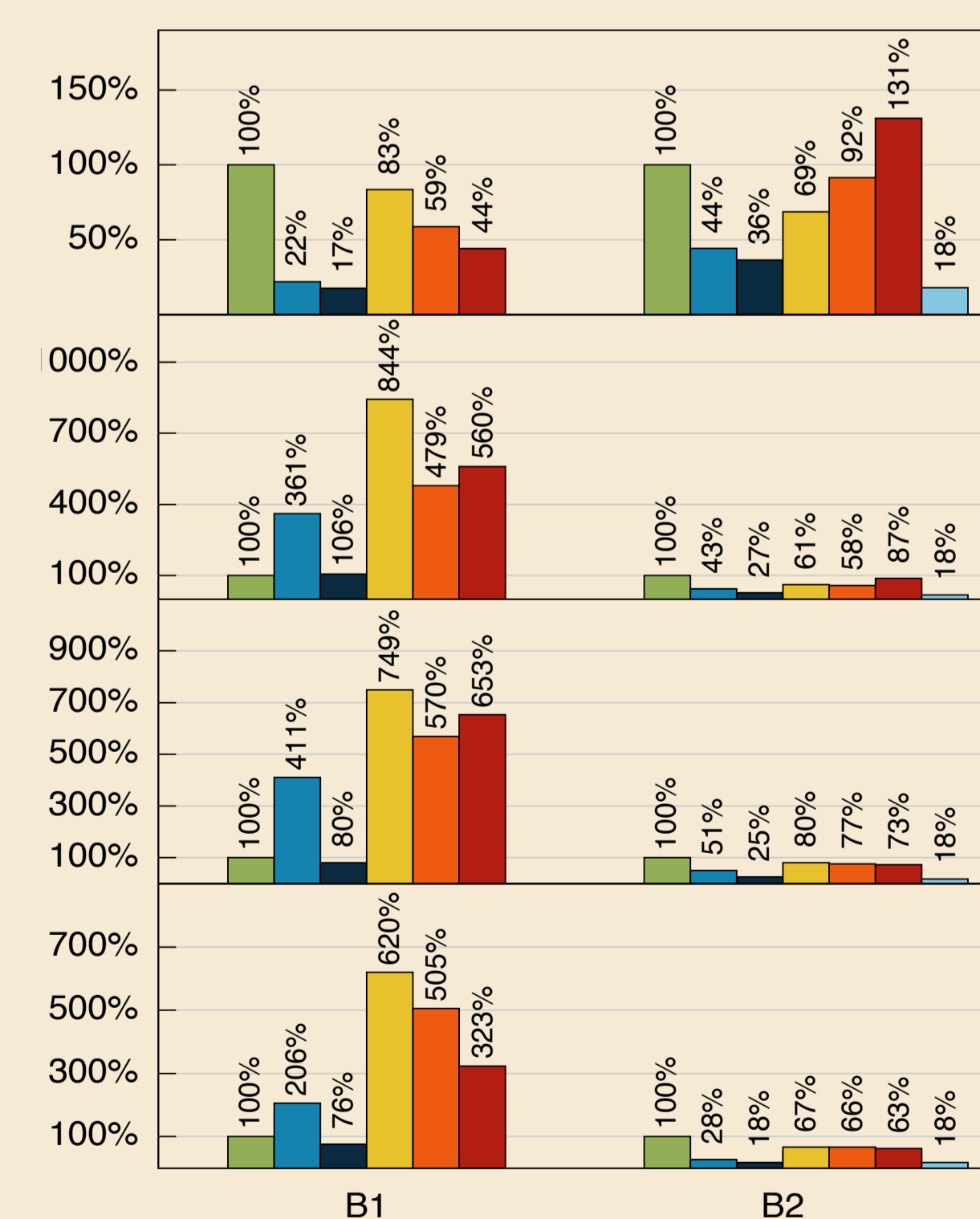
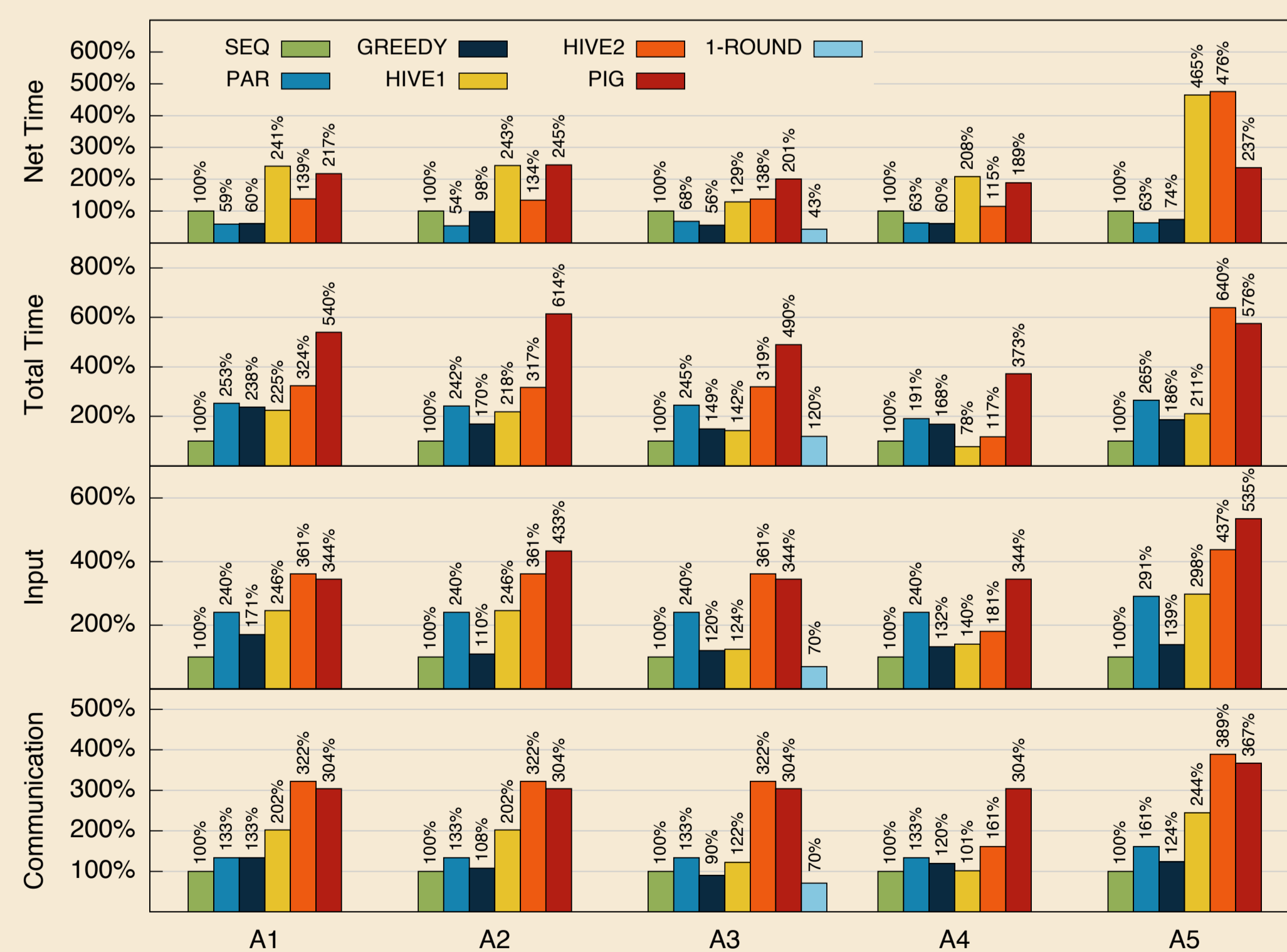
(c) EVAL Z = X1 ∧ (X2 ∨ ¬X3)
MSJ X1 = R(x,y) × S(x,z)
MSJ X2 = R(x,y) × T(y)
MSJ X3 = R(x,y) × U(x)

SGF-OPT

NP-hard
Greedy:
for each leaf
find group with highest overlap +dependencies
if no overlap, add one query to new group
else add a max. overlap query to group
remove leaf

Multi-BSGF

QID	Query
A1	$R(x, y, z, w) \times (S(x) \wedge T(y) \wedge U(z) \wedge V(w))$
A2	$R(x, y, z, w) \times (S(x) \wedge S(y) \wedge S(z) \wedge S(w))$
A3	$R(x, y, z, w) \times (S(x) \wedge T(x) \wedge U(x) \wedge V(x))$
A4	$R(x, y, z, w) \times (S(x) \wedge T(y) \wedge U(z) \wedge V(w) \wedge G(x, y, z, w) \times W(x) \wedge X(y) \wedge Y(z) \wedge Z(w))$
A5	$R(x, y, z, w) \times (S(x) \wedge T(y) \wedge U(z) \wedge V(w) \wedge G(x, y, z, w) \times (S(x) \wedge T(x) \wedge U(x) \wedge V(x)) \vee (S(x) \wedge T(x) \wedge U(x) \wedge V(x)) \vee (\neg S(x) \wedge \neg T(x) \wedge \neg U(x) \wedge \neg V(x)) \vee (\neg S(x) \wedge T(x) \wedge \neg U(x) \wedge \neg V(x)) \vee (S(x) \wedge \neg T(x) \wedge \neg U(x) \wedge \neg V(x)) \vee (\neg S(x) \wedge \neg T(x) \wedge \neg U(x) \wedge V(x)) \vee (\neg S(x) \wedge \neg T(x) \wedge U(x) \wedge \neg V(x)) \vee (\neg S(x) \wedge T(x) \wedge \neg U(x) \wedge V(x)) \vee (S(x) \wedge \neg T(x) \wedge \neg U(x) \wedge V(x)) \vee (S(x) \wedge T(x) \wedge \neg U(x) \wedge V(x)) \vee (\neg S(x) \wedge \neg T(x) \wedge U(x) \wedge V(x)) \vee (\neg S(x) \wedge T(x) \wedge U(x) \wedge V(x)))$
B1	$R(x, y, z, w) \times (S(x) \wedge T(x) \wedge U(x) \wedge V(x) \wedge (S(x) \wedge \neg T(x) \wedge \neg U(x) \wedge \neg V(x)) \vee (\neg S(x) \wedge T(x) \wedge \neg U(x) \wedge \neg V(x)) \vee (S(x) \wedge \neg T(x) \wedge U(x) \wedge \neg V(x)) \vee (\neg S(x) \wedge T(x) \wedge U(x) \wedge \neg V(x)))$
B2	$R(x, y, z, w) \times (S(x) \wedge T(x) \wedge U(x) \wedge V(x) \wedge (S(x) \wedge \neg T(x) \wedge \neg U(x) \wedge \neg V(x)) \vee (\neg S(x) \wedge T(x) \wedge \neg U(x) \wedge \neg V(x)) \vee (S(x) \wedge \neg T(x) \wedge U(x) \wedge \neg V(x)) \vee (\neg S(x) \wedge T(x) \wedge U(x) \wedge \neg V(x)))$



Gumbo

Map Output Estimation
MR Cost Model
1-Round
Streaming Reducers
Reducer Shaping
Map Shaping
Multi-Query
Confirm Reduction

0,1 REQUEST S(x,y) R(0,1,8)
0,1 REQUEST T(x,y) R(0,1,8)

0,1 REQUEST S(x,y) T(x,y) R(0,1,8)

0,1 REQUEST S(x,y) R(0,1,8)

0,1 T1 A1 #0003

github.com/JonnyDaenen/Gumbo

Conclusion

Parallel MR Query Plan: low net time
Single Semi-Join: 1 round
(multi-)BSGF NP-hard
(multi-)SGF NP-hard
Greedy Grouping: low total time
Plug into Pig/Hive/...?
General MR Optimizations

(a) Query Set C1
(b) Query Set C2
(c) Query C3
(d) Query C4