



## **1. Introduction**

Soil moisture ( $\theta$ ) is a key variable for agriculture, however  $\theta$ monitoring has gaps at intermediate scales which makes decision making challenging at field scale. Therefore, technology like cosmicray neutron sensors (CRNS) and time domain reflectometry (TDR) provide a unique research opportunity. An approach to analyze time series of  $\theta$  observations is through drydown curves. After an irrigation event,  $\theta$  decreases gradually with time, the rate (cm<sup>3</sup>/ cm<sup>3</sup>/ day) at which  $\theta$  decreases is called  $\theta_{decay}$ . When the remaining  $\theta$ is 1/3 of the initial  $\theta$  we reach the  $\theta_{threshold}$ , which could be close to the wilting point and may be an indicator of dryness. Better understanding  $\theta_{decay}$  and  $\theta_{threshold}$  can provide insight for water management purposes.

## 2. Objective and hypothesis

O1. Characterize the  $\theta$  through the use of drydown curves and the  $\theta_{threshold}$ , at each irrigation event for the winter wheat crop year 2019-2020.

O2. Quantify the impact of meteorological conditions and vegetative greenness in  $\theta$  after every irrigation event.

H1. Drydown curves and  $\theta_{threshold}$  will be different after every irrigation event and between observation methods due to spatial scale.

H2. Meteorological variables correlated with  $\theta$  will be different with every irrigation event.

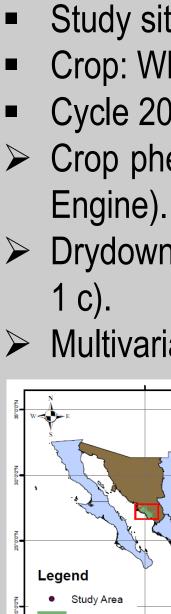


Fig. 1 a) Yaqui Valley (240,000 ha) agriculture footprint in NW México, b) Main crop winter wheat with flood irrigation and CRNS (Hydroinnova®), weather sensor (ClimaVUE<sup>™</sup>50, Campbell Scientific<sup>®</sup>), soil profilers (TDRs, SoilVUE<sup>™</sup>10, Campbell Scientific<sup>®</sup>) and radiometer (4-WR, Apogee Instruments®) and c) Conceptual diagram of a drydown curve,  $\theta_{decay}$ ,  $\theta_{threshold}$  and time to reach threshold (1/ $\tau$ ).

A detailed set of equations can be found scanning the QR-code



## 5. Multivariate analysis during $\theta$ drydown after irrigation events Table 1. Spearman correlation coefficient matrix between $\theta$ estimated from TDR and CRNS ( $\theta_{\text{TDR}}$ and $\theta_{\text{CRNS}}$ ) with air temperature $(T_{air})$ , soil temperature averaged 5-30 cm $(T_{soil})$ , evapotranspiration (ET), vapor pressure deficit (VPD), normalized difference vegetation index (NDVI), precipitation (PPT), short wave incoming radiation (SW<sub>in</sub>) and difference between $T_{air}$ and $T_{soil}$ ( $\Delta T$ ). 1<sup>st</sup> Irrigation 2<sup>nd</sup> Irrigation 3<sup>rd</sup> Irrigation DIM 1 (38.24%, 41.68%, 60.19%)

	1 <sup>st</sup> Irrigation		2 <sup>nd</sup> Irrigation		3 <sup>rd</sup> Irrigation	
	$\theta_{TDR}$	$\theta_{CRNS}$	$\theta_{TDR}$	θ <sub>crns</sub>	$\theta_{TDR}$	θ <sub>crns</sub>
$\theta_{TDR}$	Х	0.91	Х	0.65	Х	0.43
$\theta_{\text{CRNS}}$	0.91	Х	0.65	Х	0.43	Х
T <sub>air</sub>	-0.78	-0.71	-0.35	-0.24	-0.22	-0.61
T <sub>soil</sub>	-0.65	-0.55	-0.13	0.19	-0.30	-0.74
ET	0.15	-0.06	0.53	0.15	0.71	0.32
VPD	0.05	-0.21	0.62	0.13	-0.28	-0.81
NDVI	-0.30	-0.42	-0.33	-0.24	0.45	0.84
PPT	-0.04	-0.02	-0.53	-0.30	0.51	0.43
$\mathrm{SW}_{\mathrm{in}}$	0.24	0.20	0.64	0.27	-0.19	-0.51
ΔT	-0.64	-0.67	-0.48	-0.53	-0.03	0.16

- After each irrigation, the correlation of  $\theta$  with NDVI and meteorological variables, • The variation explained by PC1 and PC2 increased with each irrigation event varied in strength and signal (+/-) (Table 1). (63% < 70% < 75%) (Fig 5).
- $\theta$  from TDR and CRNS correlates best (r>0.9) during 1<sup>st</sup> irrigation and least (r~0.4) • Variables that best explain PC1 and PC2 change with every irrigation. during the 3<sup>rd</sup> irrigation, scattering was observed at lower  $\theta$  values.
- $\theta$  is highly (r>0.7) negatively correlated with  $T_{air}$  and  $T_{soil}$  during 1<sup>st</sup> irrigation, and with the temperature difference between air and soil.
- ET increases its correlation with  $\theta$  after every irrigation event.
- VPD (-) and NDVI (+) had a strong correlation (r>0.8) with  $\theta$  during the 3<sup>rd</sup> irrigation.

# Soil moisture drydown curves after flooding events across an irrigated farmland

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### 3. Materials and methods

Study site: Yaqui Valley, Sonora, México (Fig. 1 a). Crop: Wheat (*Triticum spp.*).

- Cycle 2019 2020: Mid-December to Late-April.
- Crop phenology proxy NDVI (Landsat 8 USGS/Google)
- Drydown curve (Sanchez-Mejia and Papuga, 2014) (Fig.

Multivariate statistical analysis. Days after irrigation event

> of irrigation ( $\theta_{initial}$ ) to the day before the next irrigation. The exponential model in equation 1 was fit to obtain  $\theta_{decay}$  and  $\theta_{threshold}$ .  $\theta(t) = (\theta_i - \theta_f)e^{(-t/\tau)} + \theta_f \quad (\text{eq 1})$

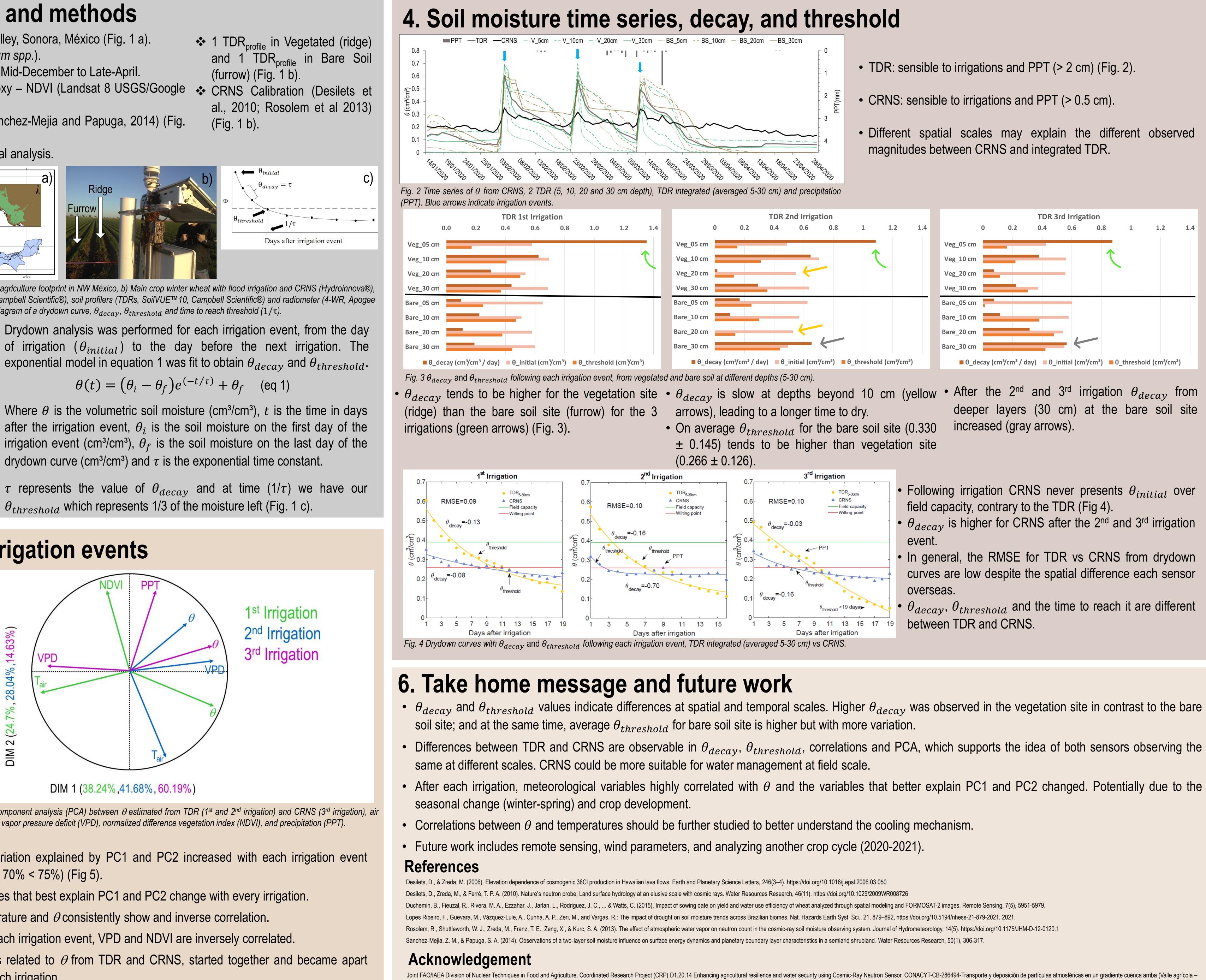
> Where  $\theta$  is the volumetric soil moisture (cm<sup>3</sup>/cm<sup>3</sup>), t is the time in days after the irrigation event,  $\theta_i$  is the soil moisture on the first day of the irrigation event (cm<sup>3</sup>/cm<sup>3</sup>),  $\theta_f$  is the soil moisture on the last day of the drydown curve (cm<sup>3</sup>/cm<sup>3</sup>) and  $\tau$  is the exponential time constant.

> $\tau$  represents the value of  $\theta_{decay}$  and at time  $(1/\tau)$  we have our  $\theta_{threshold}$  which represents 1/3 of the moisture left (Fig. 1 c).

Fig. 5 Principal component analysis (PCA) between  $\theta$  estimated from TDR (1<sup>st</sup> and 2<sup>nd</sup> irrigation) and CRNS (3<sup>rd</sup> irrigation), air temperature ( $T_{air}$ ), vapor pressure deficit (VPD), normalized difference vegetation index (NDVI), and precipitation (PPT).

- Temperature and  $\theta$  consistently show and inverse correlation.
- After each irrigation event, VPD and NDVI are inversely correlated.
- Vectors related to  $\theta$  from TDR and CRNS, started together and became apart with each irrigation.

- ✤ 1 TDR<sub>profile</sub> in Vegetated (ridge) and 1 TDR<sub>profile</sub> in Bare Soil
- CRNS Calibration (Desilets et al., 2010; Rosolem et al 2013) (Fig. 1 b).
- (furrow) (Fig. 1 b).



pie de monte). The help of Miguel Rivera, Guillermo López Castro, Crhistian Silva, Javier Rivera and ITVY field managers.

- TDR: sensible to irrigations and PPT (> 2 cm) (Fig. 2).
- CRNS: sensible to irrigations and PPT (> 0.5 cm).

Veg\_05 cm

Veg\_10 cm

Veg\_30 cm

Veg\_20 cm

• Different spatial scales may explain the different observed magnitudes between CRNS and integrated TDR.

- Bare\_05 cm Bare\_10 cm Θ\_initial (cm<sup>3</sup>/cm<sup>3</sup>) θ\_threshold (cm<sup>3</sup>/cm<sup>3</sup>)
- After the 2<sup>nd</sup> and 3<sup>rd</sup> irrigation  $\theta_{decay}$  from deeper layers (30 cm) at the bare soil site increased (gray arrows).
- Following irrigation CRNS never presents  $\theta_{initial}$  over field capacity, contrary to the TDR (Fig 4).
- $\theta_{decav}$  is higher for CRNS after the 2<sup>nd</sup> and 3<sup>rd</sup> irrigation event
- In general, the RMSE for TDR vs CRNS from drydown curves are low despite the spatial difference each sensor overseas.
- $\theta_{decay}$ ,  $\theta_{threshold}$  and the time to reach it are different between TDR and CRNS.