

# BattLeDIM 2020

Battle of the Leakage Detection and Isolation Methods

## Problem Design and Results Evaluation

**Stelios Vrachimis, PhD**

KIOS Research and Innovation Center of Excellence

BATTLEDIM Organizing Committee

September 3<sup>rd</sup>, 2020

# Organizing committee

Name	Affiliation
<b>Stelios G. Vrachimis</b>	KIOS Research and Innovation Center of Excellence, University of Cyprus, Cyprus
<b>Demetrios G. Eliades</b>	KIOS Research and Innovation Center of Excellence, University of Cyprus, Cyprus
<b>Riccardo Taormina</b>	Technical University Delft, the Netherlands
<b>Avi Ostfeld</b>	Technion – Israel Institute of Technology, Israel
<b>Zoran Kapelan</b>	Technical University Delft, the Netherlands
<b>Shuming Liu</b>	Tsinghua University, China
<b>Marios Kyriakou</b>	KIOS Research and Innovation Center of Excellence, University of Cyprus, Cyprus
<b>Pavlos Pavlou</b>	KIOS Research and Innovation Center of Excellence, University of Cyprus, Cyprus
<b>Mengning Qiu</b>	Technion – Israel Institute of Technology, Israel
<b>Marios M. Polycarpou</b>	KIOS Research and Innovation Center of Excellence, University of Cyprus, Cyprus

# The Challenge

# The L-Town water distribution network

- Created based on a real network of a city in **Cyprus**
- ~10000 people
- 42 km pipe length
- Map dimensions:  
2.6 km height, 3 km width
- 782 Junctions, 2 Reservoirs, 1 Tank
- 905 Pipes, 1 Pump, 3 PRVs
- Pipe segments of ~50 meters



# Base demands

- Created based on the real network:
  - Each node is assigned a polygon
  - Find Building Area (BA) in polygon from real network (open data)
  - Type of consumer in each building:
    - Residential
    - Commercial
    - Industrial
  - Base demand of node  $i$ :

$$d_i^b = \sum_j (T_j * CBA_j) * BA_i$$

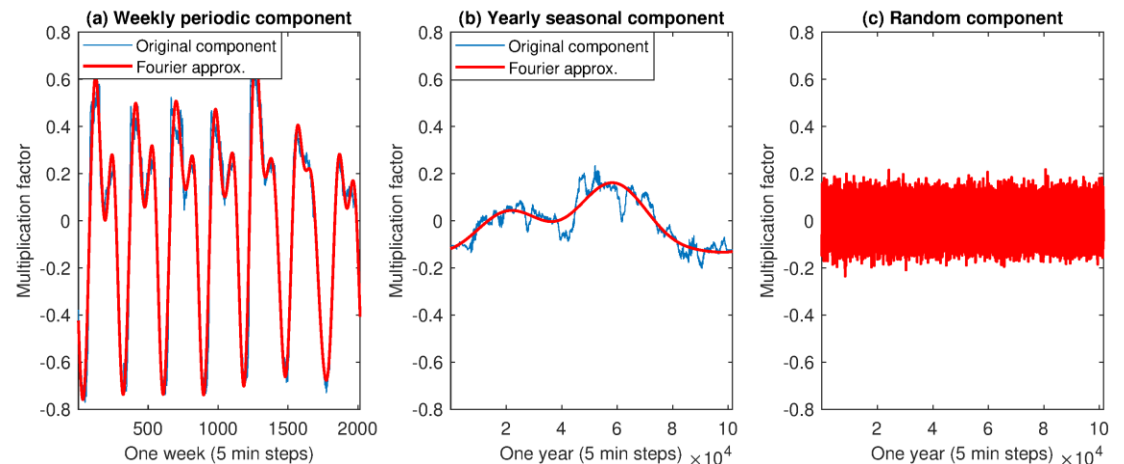
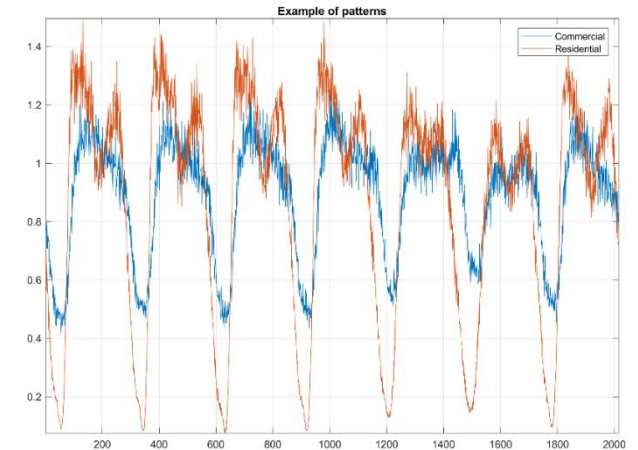
\* $T_j$ : Percentage of each consumer type in polygon

\* $CBA$ : Consumption per building area for consumer type  $j$



# Demand Patterns

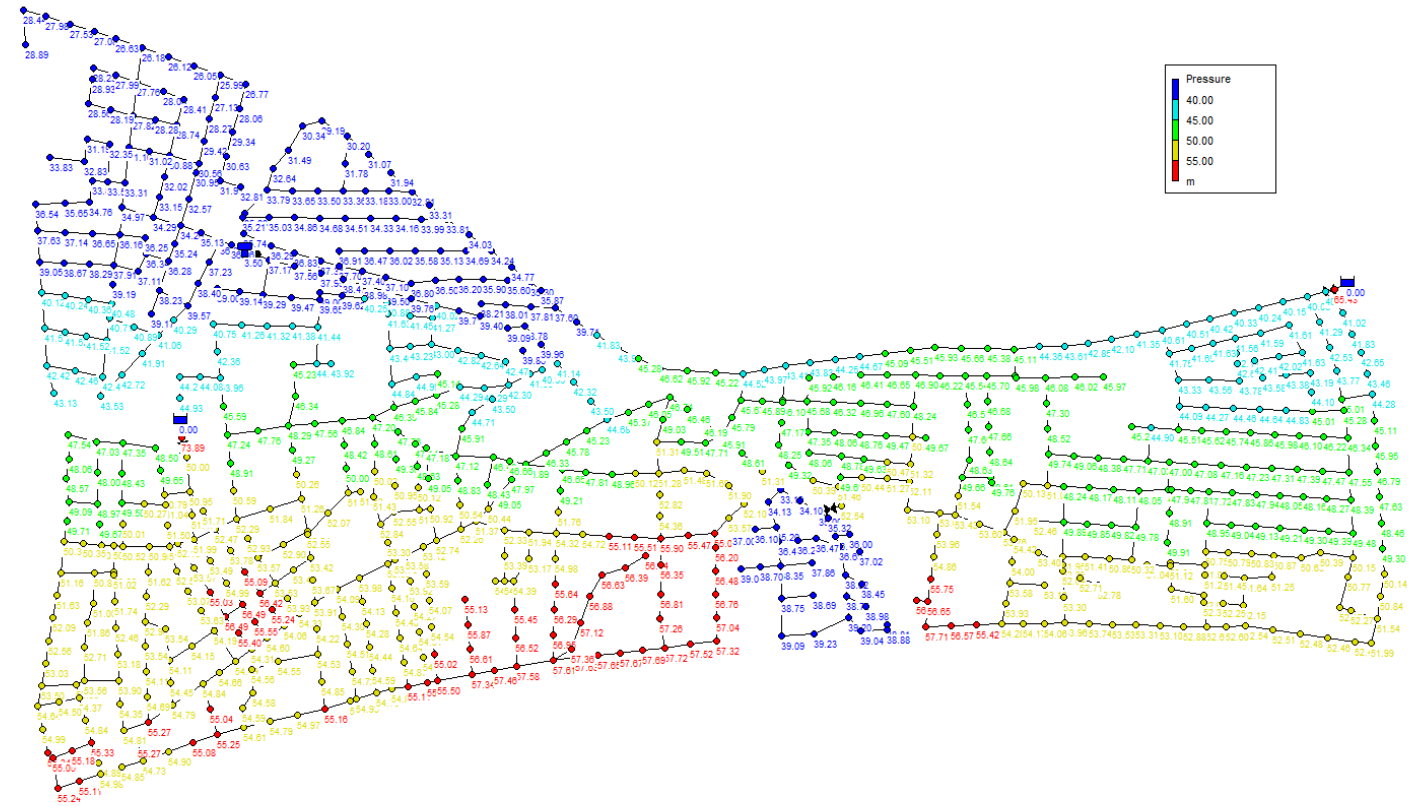
- Two **nominal patterns**: Residential and Commercial
- Extracted from **real data**
- Each node is assigned a **unique demand pattern** randomly generated as described in [1]
- **Industrial patterns** based on real AMR data
- Duration: Two years, 5 minute steps
- Seasonal and weekly periodicity
- Peaking factor ( $MDD/ADD$ ) matching the size of the system
- No special days





# Network behavior

- Different **pressure areas**
- **Normal pressure** during fault-free operation is between 2.5-6 bar.
- **Tank** is typically refilling during night and releasing water during the day.
- **Pressure-driven demands** solved using WNTR [2]

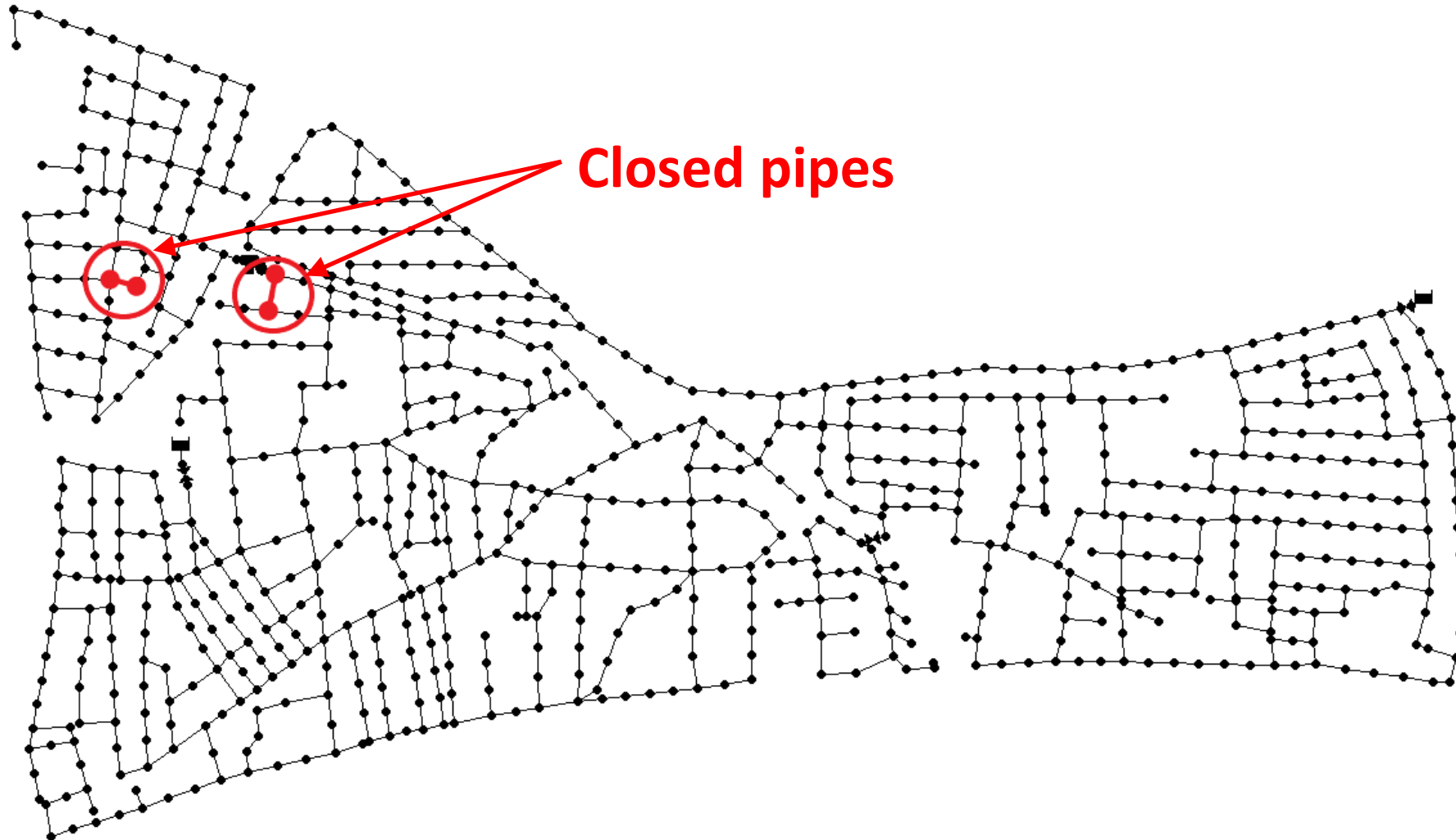


# Nominal model and Real network

- **“Real” network** is used for generating the data
- **Nominal model** contains the “available” network information (provided as an EPANET input file (.inp) )
- Differences of nominal model compared to real network:
  - **Base demands:** randomized uniformly between  $\pm 10\%$  of real value
  - **Demand patterns:** Nominal residential and commercial patterns available. Industrial patterns not available.
  - **Pipe parameters:** randomized uniformly  $\pm 10\%$  of real value (Elevation and pump curve uncertainty were omitted to reduce problem complexity)
  - **Topology:** “p37” and “p251” closed in real network

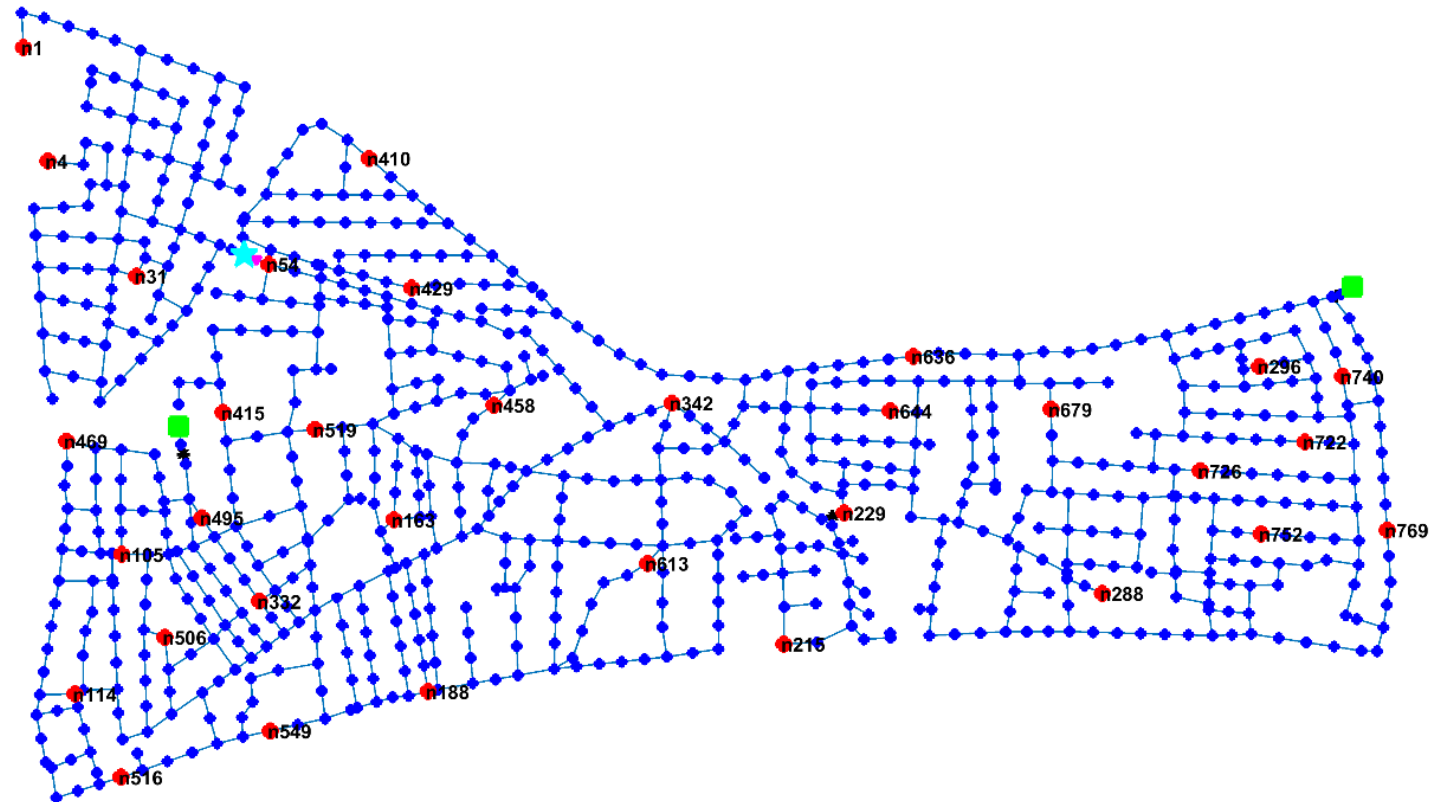


# Nominal model and Real model



# Sensors

- One (1) tank water level sensor
- Three (3) flow sensors (Pump and DMA entrances)
- Thirty-three (33) pressure sensors
  - Placed using a sensitivity matrix method
- Automatic Meter Reading devices (AMRs) in “Area C” (red)
- Industrial consumers (green)



# The datasets

- Sensors give accurate readings with no time-delay (reduce problem complexity)
  - Readings rounded to **2 decimal points**
- Historical dataset:
- One year (**2018**) of sensor data
  - The **time and repair location** of pipe bursts that have been fixed are provided
- Evaluation dataset:
- One year (**2019**) of sensor data

	A	B	C	D	E	
1	Timestamp	n1	n4	n31	n54	n
2	1/1/2019 0:00	28,63	33,72	37	36,93	
3	1/1/2019 0:05	28,66	33,75	37,02	37,05	
4	1/1/2019 0:10	28,67	33,76	37,04	37,03	
5	1/1/2019 0:15	28,69	33,78	37,05	37,09	
6	1/1/2019 0:20	28,68	33,77	37,05	36,95	
7	1/1/2019 0:25	28,72	33,8	37,07	37,08	
8	1/1/2019 0:30	28,74	33,82	37,09	37,18	
9	1/1/2019 0:35	28,73	33,82	37,09	37,09	
10	1/1/2019 0:40	28,76	33,84	37,12	37,15	
11	1/1/2019 0:45	28,76	33,85	37,13	37,14	
12	1/1/2019 0:50	28,8	33,88	37,15	37,22	
13	1/1/2019 0:55	28,82	33,9	37,17	37,27	
14	1/1/2019 1:00	28,83	33,91	37,18	37,22	
15	1/1/2019 1:05	28,85	33,93	37,2	37,27	
16	1/1/2019 1:10	28,86	33,94	37,21	37,26	
17	1/1/2019 1:15	28,89	33,96	37,23	37,32	
18	1/1/2019 1:20	28,89	33,97	37,24	37,32	
19	1/1/2019 1:25	28,91	33,98	37,25	37,39	
20	1/1/2019 1:30	28,93	34	37,27	37,38	
21	1/1/2019 1:35	28,93	34,01	37,28	37,36	
22	1/1/2019 1:40	28,95	34,02	37,29	37,41	
23	1/1/2019 1:45	28,97	34,04	37,3	37,41	

# The Leakages



Leakages are assumed **the only faults** that exist in L-Town.

(Pipe bursts as well as background leakages)

# Leakage modeling

- Leakages are modeled **on pipes** as described by Crowl and Louvar [3]:

$$d_{leak}(t) = C_d A(t) p^{\alpha}(t) \sqrt{2/\rho}$$

- In *BattLeDIM*:
  - Leak demand  $d_{leak}(t)$  ( $\frac{m^3}{h}$ )
  - Leak hole area  $A(t)$  ( $m^2$ )
  - Pressure  $p(t)$  ( $m$ )
  - Discharge coefficient  $C_d = 0.75$  (assuming turbulent flow)
  - Discharge exponent  $\alpha = 0.5$  for steel pipes and  $\alpha = 2.5$  for plastic pipes



# Leakage types

**Three types of leaks** categorized depending on their magnitude:

1. **Background leaks:** Small leaks with size of 1-5% of the average inflow.
2. **Medium pipe bursts:** Pipe breaks with size of 5-10% of the average inflow.
3. **Large pipe bursts:** Pipe breaks with size above 10% of the average inflow.

❖ Average system inflow  $\sim 180 m^3/h$

Large and some medium leakages (above  $15 m^3/h$ ) are **fixed by the water utility** after a reasonable amount of time selected in random (max 2 months)

# Leakage time profile

## 1. Abrupt leakages (pipe bursts):

$$A(t) = \begin{cases} 0 & t < t_{start}, t > t_{end} \\ A_{max} & t_{start} \leq t \leq t_{end} \end{cases}$$

## 2. Incipient leakages (background leakages which can evolve into bursts):

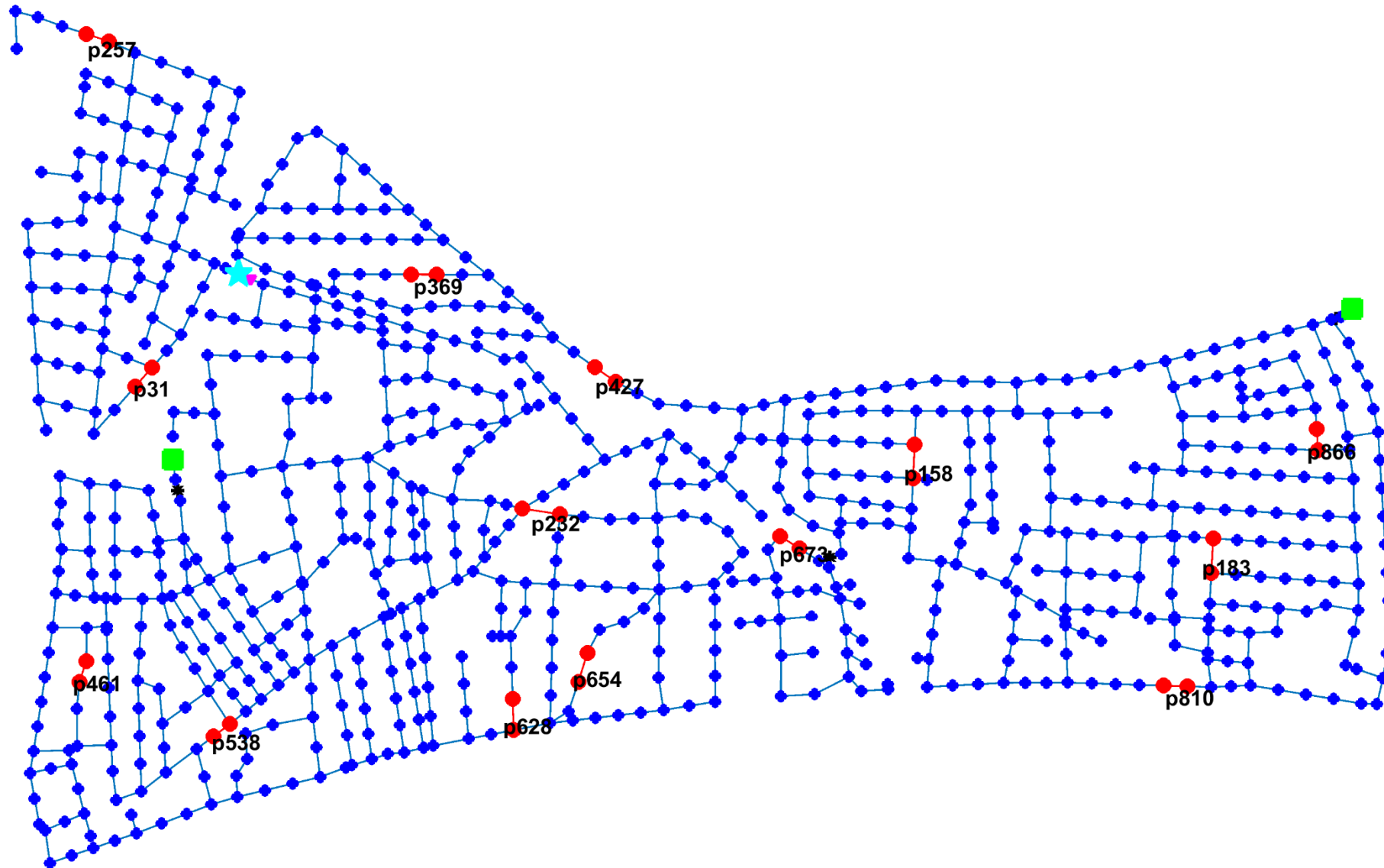
$$A(t) = \begin{cases} 0 & t < t_{start}, t > t_{end} \\ A_{max} \left( \frac{t - t_{start}}{t_{peak} - t_{start}} \right) & t_{start} \leq t < t_{peak} \\ A_{max} & t_{peak} \leq t \leq t_{end} \end{cases}$$



# Leakage placement

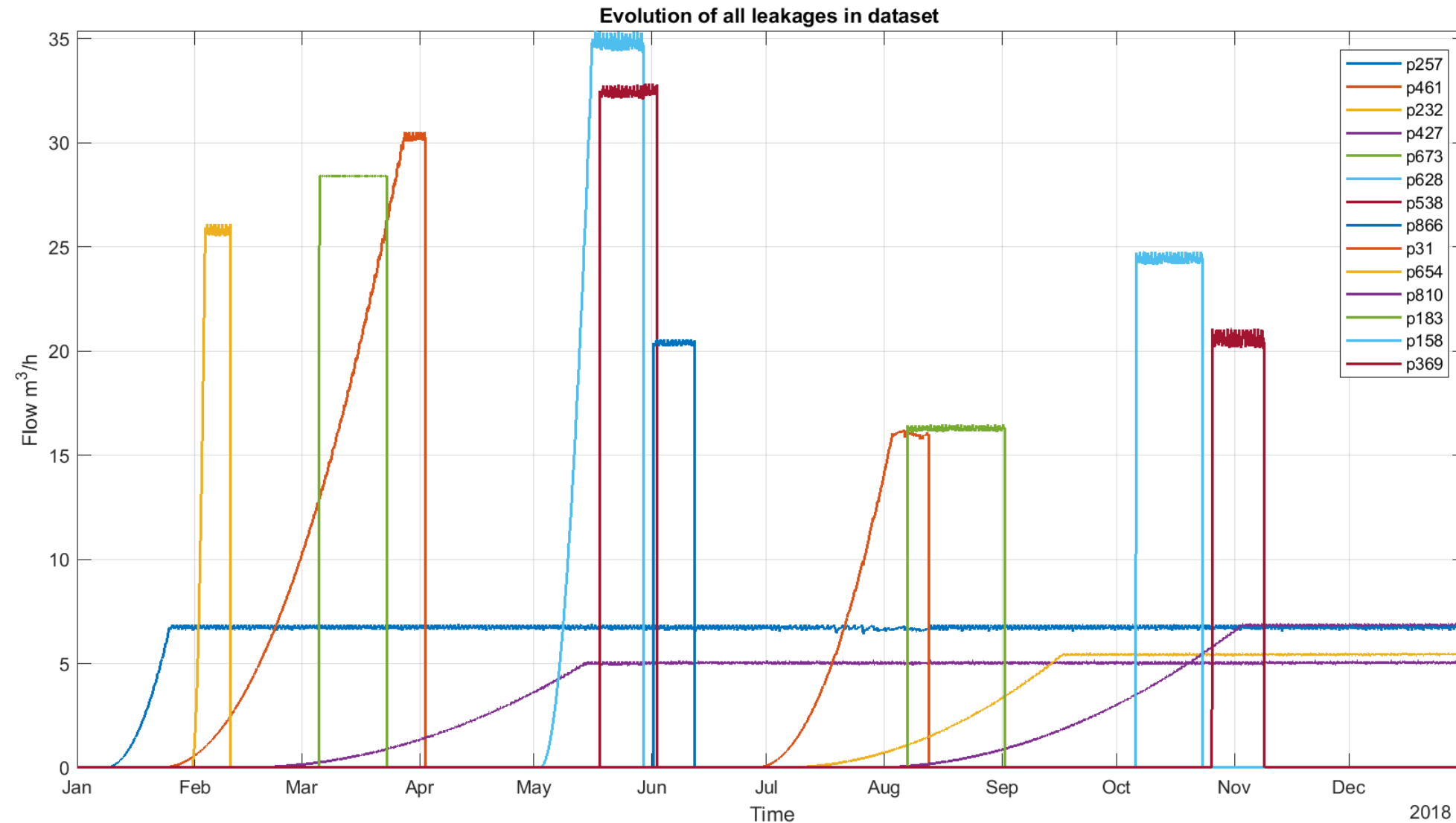
- An algorithm places the leakages **randomly, with constraints**:
  - Maximum number of leakages in a year (20)
  - Minimum time (2 weeks) between leakages with overlapping detection radius to ensure separability
  - Detection radius (300 meters)
- Leakage characteristics are **selected randomly, with constraints**:
  - Predetermined number of background, medium and large leakages
  - Predetermined number of abrupt and incipient leakages
  - Incipient peak time selected based on the leakage type and magnitude

# Leakage Locations - Historical Dataset 2018

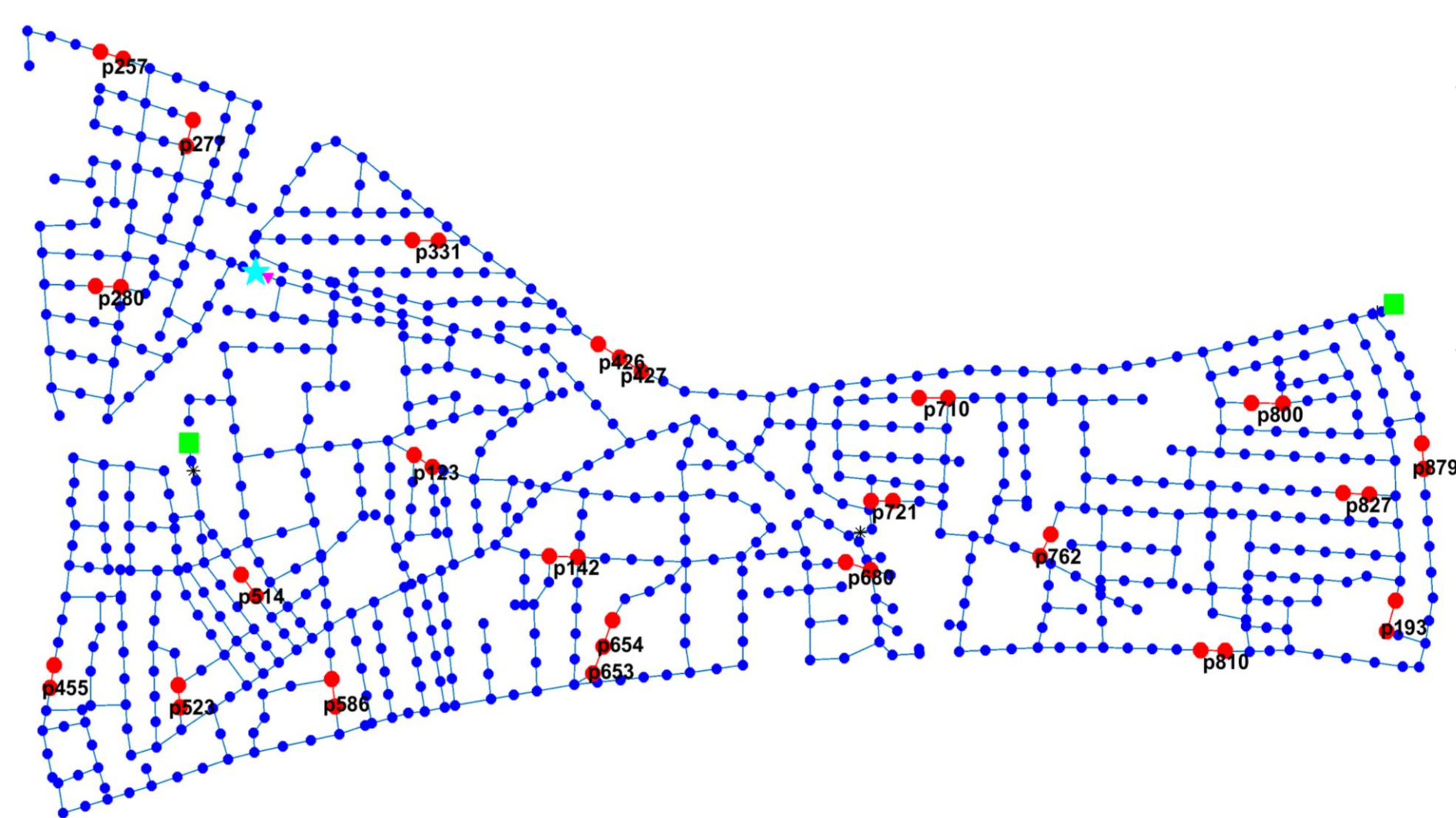


- 14 Leakages total
- 10 are fixed (given)
- 4 background leakages are not fixed and continue into 2019 on pipes p257, p427, p810, p654

# Leakage Evolution - Historical Dataset 2018

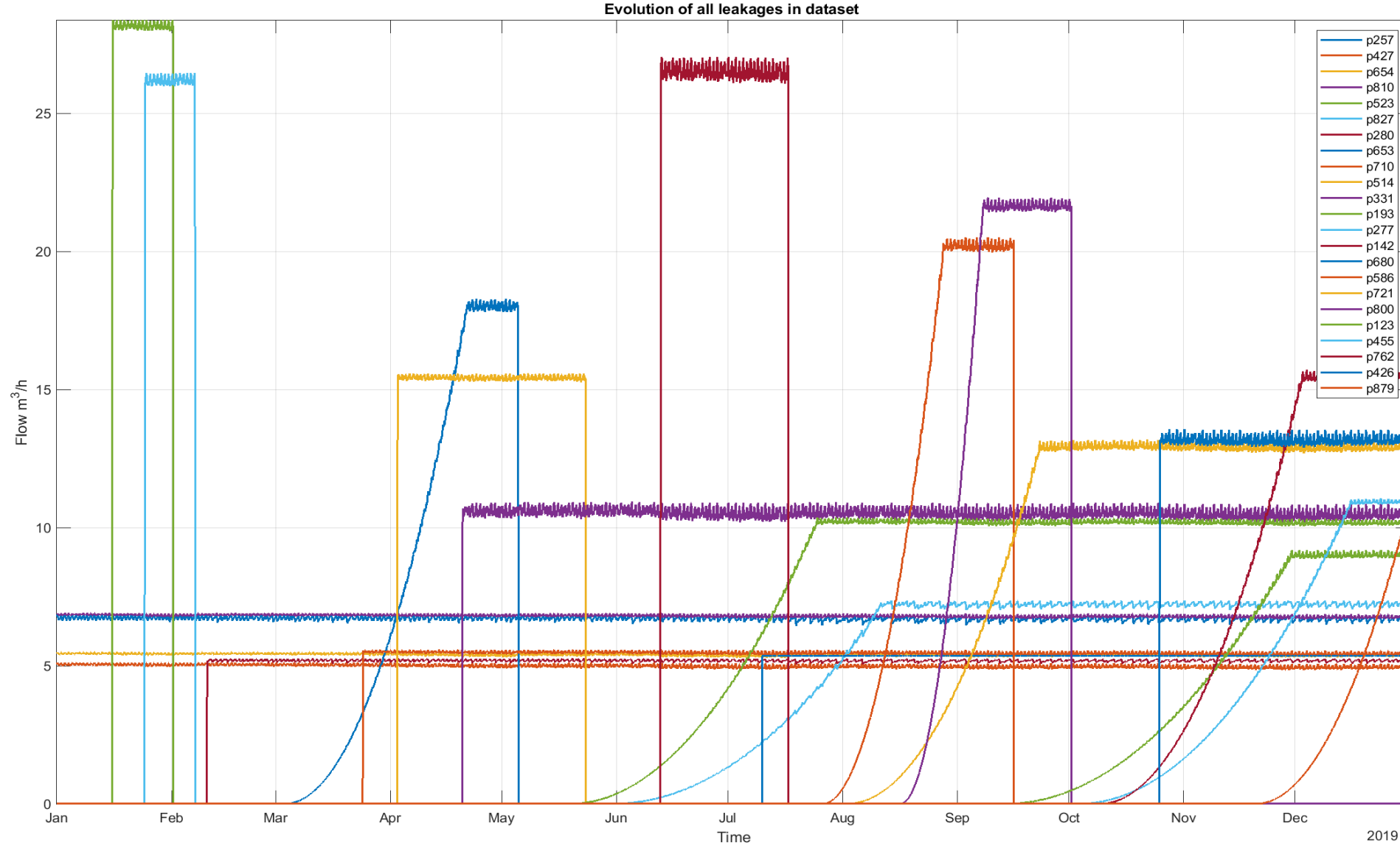


- Abrupt and incipient leakages
- Mainly large leakages (above  $15 m^3/h$ )
- Background leakages smaller than  $8 m^3/h$



- 23 Leakages total:
  - 4 begin in 2018
  - 19 begin in 2019
- All the leakages present in the 2019 dataset are evaluated

# Leakage Evolution - Evaluation Dataset 2019



## Leakage Size:

- **Background leaks**  
Count: 3+4  
Max diameter: 1.2 cm
- **Medium pipe bursts**  
Count: 10  
Max diameter: 1.8 cm
- **Large pipe bursts**  
Count: 6  
Max diameter: 2.4 cm

## Time profile:

- 10 incipient leaks
- 9 abrupt leaks
- 4 continuing from 2018

# Evaluation methodology

# Evaluation approach

Evaluation of participant results follows a **pure economic approach**:

1. The water utility of L-Town calculates the **profit from water saved** from successful detections.
2. The utility also considers the **cost of the repair crew** every time it is sent to search for a leakage.



❖ **Note:** The selected methodology has been chosen by the organizing committee as the most suitable for this competition. Alternative evaluation methodologies have also been considered and will be described in a future journal paper.



# Evaluation procedure (1/4)

**Set of rules** are applied to each result to **calculate the score**:

1. True detection (**True Positive**) condition:
  - A detection pointing at a **time during the lifetime of a leakage** and within a **predefined pipe length distance** from the leak location
2. False detection (**False Positive**) condition:
  - Detections which do not satisfy the *True detection condition* (1.) above.
3. Missed detection (**False Negative**) condition:
  - Leakages in 2019 dataset which have not been detected

# Evaluation procedure (2/4)

4. Detections are evaluated in **chronological order**, i.e., from the earliest detection to the latest detection given.
5. Detections **outside 2019** are **ignored** (not penalized).
6. **Repeated detections** of the same leakage are **ignored**.
7. A single detection may **detect only one leakage**, even if more than one leakage is in the detection area. In the case of multiple detections, only **the leakage closest to the detected link** is considered to be detected successfully.

# Evaluation procedure (3/4)

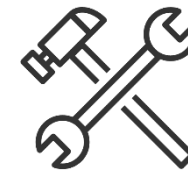
8. The **profit from water saved**  $p_w^i$  (euro) by a detection  $i$ , for a detected leakage  $j$ , given leakage flow rate  $q^j(t)$ , and cost of water per cubic meter  $c_w$  (euro), is calculated as follows:

$$p_w^i = \left( \sum_{k=t_d^i}^{t_{end}^j} q^j(k) * \Delta t \right) * c_w,$$



9. The **utility repair crew cost**  $c_r^i$  for a given detection  $i$ , detection distance from leakage  $x_{ij}$ , maximum detection distance  $x_{max}$ , and maximum repair crew cost  $c_r$  is calculated as follows:

$$c_r^i = \begin{cases} -\left(\frac{x_{ij}}{x_{max}}\right) c_r & x_{ij} < x_{max}, \\ -c_r & x_{ij} \geq x_{max} \end{cases}$$



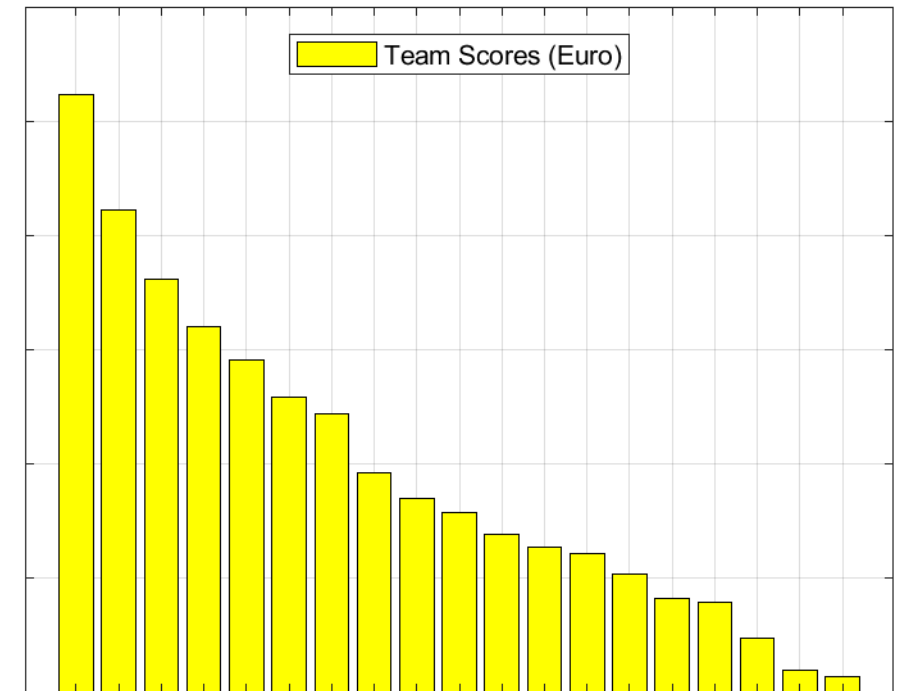
# Evaluation procedure (4/4)

10. The **score per detection** for a given detection  $i$  is given by adding the profit and cost:

$$s^i = p_w^i + c_r^i$$

11. The **total score**  $S$  for a given set of detections is given by:

$$S = \sum_i s^i$$



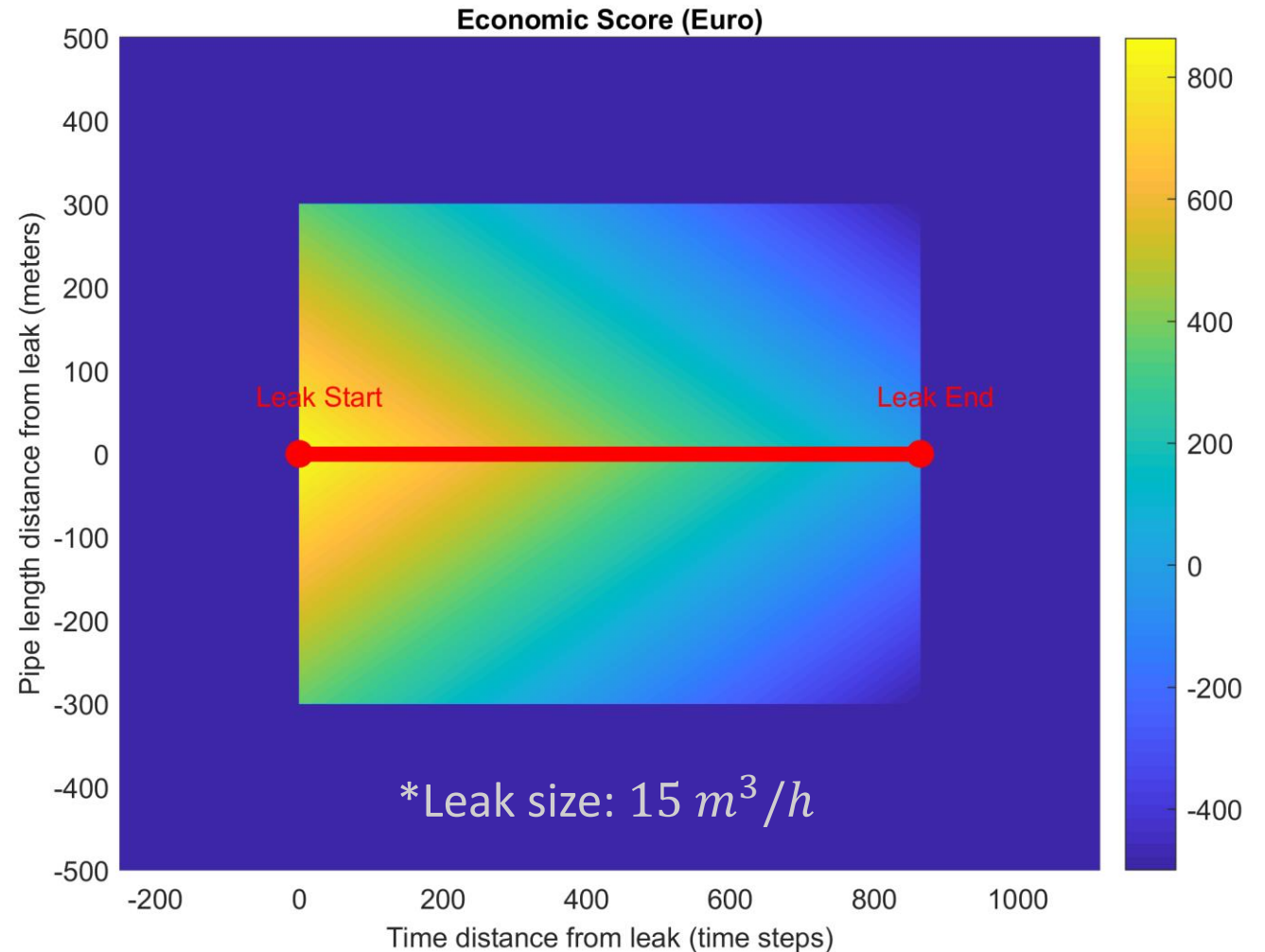
# Scoring function

## BattLeDIM evaluation parameters:

Max detection  
distance ( $x_{\max}$ ): 300 (meters)

Cost of water per  
 $\text{m}^3$  ( $c_w$ ): 0.80 (Euro)

Maximum repair  
crew cost ( $c_r$ ): 500 (Euro)



# Evaluation code

Openly available on GitHub:  
<https://github.com/KIOS-Research/BattLeDIM>

\*Instructions are provided on how to score your results file

Run online using CodeOcean:  
<https://codeocean.com/capsule/8332511>

- Pending approval

More code, available shortly:

1. Generation of BattLeDIM network code
2. Sensor placement code
3. Leakage placement code

