

# 2020 In Numbers: Mathematical Style

*Each day 20, 20h, 20m, 20s it will be  
20.20.20.20.2020*

*Palindromic day on February 02  
02.02.2020*

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## Abstract

*This short work brings representations of 2020 in different situations. These representations are of *crazy-type*, running numbers, single digit, single letter, Triangular, Fibonacci, palindromic-type, prime numbers, embedded, repeated digits, magic squares, etc..*

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## Contents

<b>1</b>	<b>Crazy Representations</b>	<b>3</b>
1.1	Pyramid Style: Ending in 0 . . . . .	3
1.2	1 to 10 Numbers: Increasing and Decreasing . . . . .	3
<b>2</b>	<b>Same Digits Power and Bases</b>	<b>4</b>
2.1	Pyramid Style . . . . .	4
2.2	Pattern in Power and Bases . . . . .	4
<b>3</b>	<b>Single Digit Representations</b>	<b>6</b>
<b>4</b>	<b>Single Letter Representation</b>	<b>6</b>
<b>5</b>	<b>Power Representations</b>	<b>7</b>
5.1	Powers 2, 3 and 4 . . . . .	7
5.2	Pattern With Power 4 . . . . .	8
5.3	Powers of 2 . . . . .	8
<b>6</b>	<b>Palindromic Representations</b>	<b>8</b>
<b>7</b>	<b>Two Digits Representation: 0 and 2</b>	<b>9</b>
<b>8</b>	<b>Upside Down and Mirror Looking</b>	<b>9</b>
8.1	Upside Down . . . . .	9
8.2	Upside Down and Mirror Looking . . . . .	10
<b>9</b>	<b>Pythagorean Triples and Patterns</b>	<b>10</b>
9.1	Pythagorean Triples . . . . .	10
9.2	Patterns With Pythagorean Triples . . . . .	10
9.3	Patterns With Pythagorean Triples: Pandigital Type . . . . .	11
<b>10</b>	<b>Equality Expression with Same Digits</b>	<b>11</b>
10.1	Powers and Sums . . . . .	11
10.2	Factorial and Powers . . . . .	12
10.3	Semi-Selfie Expressions . . . . .	12
<b>11</b>	<b>Selfie and Equivalent Fractions</b>	<b>12</b>
11.1	Patterns in Selfie Fractions . . . . .	12
<b>12</b>	<b>Functional Representations</b>	<b>13</b>
12.1	Fibonacci Sequences . . . . .	13
12.2	Fibonacci Sequences Pattern . . . . .	14
12.3	Triangular Number . . . . .	14
12.4	Triangular Number Pattern . . . . .	15
<b>13</b>	<b>Fixed Digits Repetitions Prime Patterns</b>	<b>15</b>
13.1	Lenght 6 . . . . .	15
13.2	Lenght 7 . . . . .	17
13.3	Lenght 8 . . . . .	18

<b>14 Embedded Prime Numbers Patterns</b>	<b>19</b>
14.1 Palindromic Prime Numbers . . . . .	19
14.2 Non Palindromic Prime Numbers . . . . .	20
<b>15 Magic Square Type Embedded Palindromic Prime Numbers</b>	<b>21</b>
<b>16 Palindromic-Type Expressions and Patterns</b>	<b>23</b>
16.1 Palindromic-Type Expressions . . . . .	23
16.2 Palindromic-Type Patterns . . . . .	27

## 1 Crazy Representations

$$\begin{aligned} \mathbf{2020} &:= 1^{23} \times 4 \times (-5 + 6 + 7 \times 8 \times 9) \\ &:= 9 \times 8 \times 7 \times (6 - 5) \times 4 + 3 + 2 - 1. \end{aligned}$$

<https://arxiv.org/abs/1302.1479>  
<http://bit.ly/2AYFpoc>

### 1.1 Pyramid Style: Ending in 0

$$\begin{aligned} \mathbf{2020} &:= -5 + (43 + 2)^{(1 + 0!)} \\ &:= 6! - 5! + \sqrt{4} \times 3!! - 2 \times 10 \\ &:= 7 \times 6 \times (5 + 43) + 2 + 1 + 0! \\ &:= 8 \times (-7 + 65 \times 4) + 3 \times 2 - 10 \end{aligned}$$

### 1.2 1 to 10 Numbers: Increasing and Decreasing

$$\begin{aligned} \mathbf{2020} &:= (123 + 4 \times 5 + 6 \times 7 + 8 + 9) \times 10. \\ &:= 10 \times (98 + 7 \times 6 + 5 \times 4 \times 3 + 2 \times 1). \end{aligned}$$

## 2 Same Digits Power and Bases

### 2.1 Pyramid Style

$$\begin{aligned} \textcolor{red}{2020} &:= -1^3 + 3^6 - 4^1 + 6^4 \\ &:= -1^2 - 2^3 + 3^6 + 4^1 + 6^4 \\ &:= 1^3 - 2^7 + 3^6 - 4^5 + 5^1 + 6^2 + 7^4 \end{aligned}$$

$$\begin{aligned} \textcolor{red}{2020} &:= 0^1 + 1^3 - 2^5 + 3^6 + 4^0 + 5^2 + 6^4 \\ &:= 0^4 - 1^7 + 2^1 + 3^6 + 4^5 + 5^0 + 6^3 + 7^2 \\ &:= 0^7 + 1^8 + 2^4 + 3^6 + 4^5 + 5^2 + 6^3 + 7^0 + 8^1 \\ &:= 0^3 + 1^8 + 2^7 - 3^9 + 4^6 + 5^4 + 6^2 + 7^5 + 8^0 + 9^1 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2553326>

### 2.2 Pattern in Power and Bases

$$\begin{aligned} \textcolor{red}{2020}0 &:= \textcolor{blue}{2020} \times 10 + 0 = 1^3 - 2^5 + 3^9 + 4^1 + 5^4 - 9^2 = 1^3 + 2^1 + 3^8 + 4^6 + 6^4 + 8^2 \\ \textcolor{red}{2020}1 &:= \textcolor{blue}{2020} \times 10 + 1 = 1^8 - 2^2 + 3^9 + 8^3 + 9^1 = -1^1 + 2^4 + 3^2 + 4^6 + 5^3 + 6^5 \\ \textcolor{red}{2020}2 &:= \textcolor{blue}{2020} \times 10 + 2 = -2^6 + 3^9 + 4^2 + 6^4 - 9^3 = -1^6 + 3^9 + 5^3 - 6^5 - 9^1 \\ \textcolor{red}{2020}3 &:= \textcolor{blue}{2020} \times 10 + 3 = -1^8 + 3^9 + 8^3 + 9^1 = 1^1 + 2^4 + 3^2 + 4^6 + 5^3 + 6^5 \\ \textcolor{red}{2020}4 &:= \textcolor{blue}{2020} \times 10 + 4 = 1^2 - 2^5 + 3^9 - 4^3 + 5^4 - 9^1 = -1^2 - 2^8 + 4^7 - 7^1 - 8^4 \\ \textcolor{red}{2020}5 &:= \textcolor{blue}{2020} \times 10 + 5 = 1^8 + 3^9 + 8^3 + 9^1 = 2^3 + 3^8 + 4^6 + 6^4 + 8^2 \\ \textcolor{red}{2020}6 &:= \textcolor{blue}{2020} \times 10 + 6 = -1^7 + 2^1 + 3^9 - 4^4 + 7^2 + 9^3 = 1^2 - 2^8 + 4^7 - 7^1 - 8^4 \\ \textcolor{red}{2020}7 &:= \textcolor{blue}{2020} \times 10 + 7 = -1^8 + 2^2 + 3^9 + 8^3 + 9^1 = 1^7 - 3^9 + 5^6 + 6^1 + 7^5 - 9^3 \\ \textcolor{red}{2020}8 &:= \textcolor{blue}{2020} \times 10 + 8 = 1^7 + 2^1 + 3^9 - 4^4 + 7^2 + 9^3 = 1^6 + 2^2 + 3^9 + 5^3 - 6^5 - 9^1 \\ \textcolor{red}{2020}9 &:= \textcolor{blue}{2020} \times 10 + 9 = 1^8 + 2^2 + 3^9 + 8^3 + 9^1 = -1^3 - 2^8 - 3^2 + 4^7 + 7^1 - 8^4 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2553326>

$$\begin{aligned}
\mathbf{2020}0 &:= \mathbf{2020} \times 10 + 0 = 0^2 - 1^7 + 2^4 + 3^0 + 4^6 + 5^3 + 6^5 + 7^1 = 0^3 + 1^7 + 2^5 + 3^8 + 4^6 + 5^2 + 6^4 + 7^0 + 8^1 \\
\mathbf{2020}1 &:= \mathbf{2020} \times 10 + 1 = -0^0 + 1^1 - 2^2 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 = -0^0 + 1^5 - 2^7 + 3^8 + 4^6 + 5^3 + 6^4 + 7^1 + 8^2 \\
\mathbf{2020}2 &:= \mathbf{2020} \times 10 + 2 = 0^2 + 1^7 + 2^4 + 3^0 + 4^6 + 5^3 + 6^5 + 7^1 = 0^5 + 1^0 - 2^7 + 3^8 + 4^6 + 5^3 + 6^4 + 7^1 + 8^2 \\
\mathbf{2020}3 &:= \mathbf{2020} \times 10 + 3 = 0^0 + 1^1 - 2^2 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 = 0^0 + 1^5 - 2^7 + 3^8 + 4^6 + 5^3 + 6^4 + 7^1 + 8^2 \\
\mathbf{2020}4 &:= \mathbf{2020} \times 10 + 4 = 0^1 + 1^7 + 2^4 + 3^2 + 4^6 + 5^3 + 6^5 + 7^0 = 0^7 + 1^8 + 2^6 - 3^1 + 4^3 + 5^2 + 6^5 + 7^0 + 8^4 \\
\mathbf{2020}5 &:= \mathbf{2020} \times 10 + 5 = 0^1 - 1^2 + 2^0 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 = 0^2 + 1^8 - 2^1 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 + 8^0 \\
\mathbf{2020}6 &:= \mathbf{2020} \times 10 + 6 = 0^2 - 1^0 + 2^1 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 = 0^4 - 1^7 - 2^8 + 3^1 + 4^6 + 5^0 + 6^5 + 7^3 + 8^2 \\
\mathbf{2020}7 &:= \mathbf{2020} \times 10 + 7 = 0^1 + 1^2 + 2^0 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 = 0^2 - 1^8 + 2^1 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 + 8^0 \\
\mathbf{2020}8 &:= \mathbf{2020} \times 10 + 8 = 0^2 + 1^0 + 2^1 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 = 0^7 - 1^8 + 2^6 + 3^1 + 4^3 + 5^2 + 6^5 + 7^0 + 8^4 \\
\mathbf{2020}9 &:= \mathbf{2020} \times 10 + 9 = 0^0 + 1^2 + 2^1 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 = 0^2 + 1^8 + 2^1 + 3^7 + 4^6 + 5^5 + 6^3 + 7^4 + 8^0
\end{aligned}$$

<http://doi.org/10.5281/zenodo.2553326>

tcbsetcolframe=green!50!black,colback=white,colupper=blue!50!black, fonttitle=,center title

$$\begin{aligned}
\mathbf{2020}0 &:= \mathbf{2020} \times 10 + 0 = 0^1 + 1^7 - 2^9 + 3^8 - 4^6 + 5^5 + 6^2 + 7^3 + 8^0 + 9^4 \\
\mathbf{2020}1 &:= \mathbf{2020} \times 10 + 1 = 0^7 + 1^9 + 2^6 + 3^8 + 4^5 + 5^0 + 6^3 + 7^2 + 8^4 + 9^1 \\
\mathbf{2020}2 &:= \mathbf{2020} \times 10 + 2 = 0^6 - 1^9 + 2^7 + 3^8 + 4^5 + 5^3 + 6^0 + 7^1 + 8^4 + 9^2 \\
\mathbf{2020}3 &:= \mathbf{2020} \times 10 + 3 = 0^6 + 1^9 + 2^7 + 3^8 + 4^5 + 5^3 + 6^1 + 7^0 + 8^4 + 9^2 \\
\mathbf{2020}4 &:= \mathbf{2020} \times 10 + 4 = 0^6 + 1^9 + 2^7 + 3^8 + 4^5 + 5^3 + 6^0 + 7^1 + 8^4 + 9^2 \\
\mathbf{2020}5 &:= \mathbf{2020} \times 10 + 5 = 0^5 + 1^9 - 2^7 + 3^8 + 4^6 + 5^3 + 6^4 + 7^0 + 8^2 + 9^1 \\
\mathbf{2020}6 &:= \mathbf{2020} \times 10 + 6 = 0^7 + 1^9 - 2^6 - 3^8 + 4^0 + 5^2 + 6^4 + 7^5 + 8^3 + 9^1 \\
\mathbf{2020}7 &:= \mathbf{2020} \times 10 + 7 = 0^7 - 1^8 + 2^9 - 3^6 + 4^1 + 5^2 + 6^5 + 7^3 + 8^4 + 9^0 \\
\mathbf{2020}8 &:= \mathbf{2020} \times 10 + 8 = 0^6 - 1^9 - 2^8 + 3^7 + 4^1 + 5^5 + 6^0 + 7^3 + 8^2 + 9^4 \\
\mathbf{2020}9 &:= \mathbf{2020} \times 10 + 9 = 0^6 - 1^7 + 2^9 + 3^8 + 4^2 + 5^5 + 6^4 + 7^1 + 8^3 + 9^0
\end{aligned}$$

<http://doi.org/10.5281/zenodo.2553326>

### 3 Single Digit Representations

$$\begin{aligned}
 \mathbf{2020} &:= (1 + 1) \times (11111 - 1)/11 \\
 &:= 2 \times (2 \times (22^2 + 22) - 2) \\
 &:= 3 + (3 + 3) \times (333 + 3) + 3/3 \\
 &:= 4 + (4 + 4) \times (4^4 - 4) \\
 &:= 5^5 + 55 \times (5 - 5 \times 5) - 5 \\
 &:= (6 - 6/6) \times ((6 + 6)/6 + 6 \times 66 + 6) \\
 &:= 77/7 + 7 \times (7 \times (7 \times 7 - 7) - 7) \\
 &:= (8 \times (8 \times 8 \times 8 - 8) + 8) \times 8/(8 + 8) \\
 &:= (9 + 9) \times (99/9 + 999)/9
 \end{aligned}$$

<https://arxiv.org/abs/1502.03501>

<http://bit.ly/2StN0CT>

### 4 Single Letter Representation

$$\mathbf{2020} := \frac{(aaaaa - a) \times (a + a)}{aa \times a}$$

where,  $aaaaa = a10^4 + a10^3 + a10^2 + a10 + a$ ,  
 $aa = a10 + a$ ,  $a \in \{1, 2, 3, 4, 5, 6, 7, 8, 9\}$ .

<http://doi.org/10.5281/zenodo.2556902>

<http://doi.org/10.5281/zenodo.2557025>

## 5 Power Representations

### 5.1 Powers 2, 3 and 4

$$\begin{aligned}
 \mathbf{2020} &:= 16^2 + 42^2 \\
 &:= 24^2 + 38^2 \\
 &:= 1^2 + 13^2 + 25^2 + 35^2 \\
 &:= 3^2 + 21^2 + 27^2 + 29^2 \\
 &:= 1^2 + 17^2 + 23^2 + 24^2 + 25^2.
 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2565729>

$$\begin{aligned}
 \mathbf{2020} &:= 1^3 + 1^3 + 1^3 + 7^3 + 7^3 + 11^3 \\
 &:= 13^3 - 5^3 - 4^3 + 3^3 - 2^3 - 2^3 + 1^3 \\
 &:= 10^3 + 9^3 + 7^3 - 4^3 + 3^3 - 2^3 - 2^3 + 1^3 \\
 &:= 1^3 + 7^3 + 12^3 - 4^3 + 3^3 - 2^3 - 2^3 + 1^3
 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2565729>

$$\mathbf{2020} := 1^4 + 1^4 + 2^4 + 3^4 + 5^4 + 6^4.$$

<http://doi.org/10.5281/zenodo.2565729>

## 5.2 Pattern With Power 4

$$\begin{aligned}
 0 \text{ 2020} &:= 1^4 + 1^4 + 2^4 + 3^4 + 5^4 + 6^4 \\
 1 \text{ 2020} &:= 1^4 + 1^4 + 2^4 + 3^4 + 5^4 + 6^4 + 10^4 \\
 2 \text{ 2020} &:= 1^4 + 4^4 + 5^4 + 7^4 + 8^4 + 11^4 \\
 3 \text{ 2020} &:= 1^4 + 4^4 + 5^4 + 7^4 + 8^4 + 10^4 + 11^4 \\
 4 \text{ 2020} &:= 1^4 + 3^4 + 9^4 + 11^4 + 12^4 \\
 5 \text{ 2020} &:= 1^4 + 3^4 + 9^4 + 10^4 + 11^4 + 12^4 \\
 6 \text{ 2020} &:= 1^4 + 7^4 + 9^4 + 11^4 + 14^4 \\
 7 \text{ 2020} &:= 1^4 + 7^4 + 9^4 + 10^4 + 11^4 + 14^4 \\
 8 \text{ 2020} &:= 1^4 + 4^4 + 7^4 + 8^4 + 10^4 + 11^4 + 15^4 \\
 9 \text{ 2020} &:= 1^4 + 5^4 + 6^4 + 8^4 + 11^4 + 12^4 + 15^4 \\
 10 \text{ 2020} &:= 1^4 + 5^4 + 6^4 + 8^4 + 10^4 + 11^4 + 12^4 + 15^4
 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2565729>

## 5.3 Powers of 2

$$\begin{aligned}
 \text{2020} &:= 2^{11} - 2^5 + 2^2 \\
 &:= 2^{10} + 2^9 + 2^8 + 2^7 + 2^6 + 2^5 + 2^2 \\
 &:= 2^{10} + 2^9 + 2^8 + 2^7 + 2^6 + 2^5 + 2^4 - 2^3 - 2^2
 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2565729>

## 6 Palindromic Representations

$$\begin{aligned}
 \text{2020} &:= 2 \times 505 \times 2 \\
 &:= 00020 + 02000
 \end{aligned}$$

## 7 Two Digits Representation: 0 and 2

$$\textcolor{red}{2020} := 02 \times 02 \times 20 \times 20 + 20 \times 20 + 20.$$

- On Feb. 02, 2020, we can write

$$\textcolor{red}{02.02.2020}$$

- Each month, 20h 20m and 20s on day 20, we have

$$\textcolor{red}{20.20.20.20.2020}$$

This number will appear 12 times in a year.

## 8 Upside Down and Mirror Looking

### 8.1 Upside Down

$$\begin{aligned}\textcolor{red}{2020} &:= 9 + 1001 + 1 + 1 + 1 + 1001 + 6 \\ &:= 1 + 1 + 1 + 6 + 9 + 69 + 96 + 609 + 609 + 619 \\ &:= 1 + 1 + 1 + 609 + (1 + 1) \times (1 + 6 + 9 + 69 + 619)\end{aligned}$$

$$9+|\textcolor{black}{00}|+|+|+|+|\textcolor{black}{00}|+6$$

$$|+|+|+6+9+69+96+609+609+619$$

$$|+|+|+609+(|+|)\times(|+6+9+69+619)$$

<https://zenodo.org/record/2555741>

## 8.2 Upside Down and Mirror Looking

$$\begin{aligned} \textcolor{red}{2020} &:= 8 + 1 + 1001 + 1001 + 1 + 8 \\ &:= 502 + 502 + 502 + 502 + 11 + 1 \\ &:= 2 + 1 + 5 + 1 + 1001 + 1001 + 1 + 5 + 1 + 2. \end{aligned}$$

**8+1+1001+1001+1+8**

**502+502+1+11+502+502**

**2+1+5+1+1001+1001+1+5+1+2**

<https://zenodo.org/record/2555741>

## 9 Pythagorean Triples and Patterns

### 9.1 Pythagorean Triples

$$\begin{aligned} \textcolor{red}{2020}^2 &:= 400^2 + 1980^2 \\ &:= 868^2 + 1824^2 \\ &:= 1212^2 + 1616^2 \\ &:= 1344^2 + 1508^2. \end{aligned}$$

### 9.2 Patterns With Pythagorean Triples

$$\begin{aligned} \textcolor{red}{2020}^2 &:= 1212^2 + 1616^2 \\ \textcolor{red}{20020}^2 &:= 12012^2 + 16016^2 \\ \textcolor{red}{200020}^2 &:= 120012^2 + 160016^2 \\ \textcolor{red}{2000020}^2 &:= 1200012^2 + 1600016^2 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2544527>

<http://doi.org/10.5281/zenodo.2544551>

$$\begin{aligned}
 (\textcolor{red}{220} \times 1 + 1)^2 - (\textcolor{red}{220} \times 1 + 0)^2 &= 21^2 \\
 (\textcolor{blue}{2020} \times 10 + 1)^2 - (\textcolor{blue}{2020} \times 10 + 0)^2 &= 201^2 \\
 (\textcolor{red}{20020} \times 100 + 1)^2 - (\textcolor{red}{20020} \times 100 + 0)^2 &= 2001^2 \\
 (\textcolor{blue}{200020} \times 1000 + 1)^2 - (\textcolor{blue}{200020} \times 1000 + 0)^2 &= 20001^2
 \end{aligned}$$

Equivalently,

$$\begin{aligned}
 220^2 + 21^2 &= 221^2 := 48841 \\
 20200^2 + 201^2 &= 20201^2 := 408080401 \\
 2002000^2 + 2001^2 &= 2002001^2 := 4008008004001 \\
 200020000^2 + 20001^2 &= 200020001^2 := 40008000800040001
 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2544527>

<http://doi.org/10.5281/zenodo.2544551>

### 9.3 Patterns With Pythagorean Triples: Pandigital Type

$$\begin{aligned}
 0099^2 + 20^2 &= \textcolor{brown}{1} \textcolor{brown}{0}1^2 \\
 \textcolor{blue}{102} \, 0099^2 + \textcolor{red}{2020}^2 &= \textcolor{blue}{10201} \, 01^2 \\
 \textcolor{blue}{1020302} \, 0099^2 + \textcolor{blue}{202020}^2 &= \textcolor{blue}{102030201} \, 01^2 \\
 \textcolor{blue}{10203040302} \, 0099^2 + \textcolor{blue}{20202020}^2 &= \textcolor{blue}{1020304030201} \, 01^2 \\
 \textcolor{blue}{102030405040302} \, 0099^2 + \textcolor{blue}{2020202020}^2 &= \textcolor{blue}{10203040504030201} \, 01^2 \\
 \textcolor{blue}{1020304050605040302} \, 0099^2 + \textcolor{blue}{202020202020}^2 &= \textcolor{brown}{102030405060504030201} \, 01^2 \\
 \textcolor{blue}{10203040506070605040302} \, 0099^2 + \textcolor{blue}{20202020202020}^2 &= \textcolor{brown}{1020304050607060504030201} \, 01^2 \\
 \textcolor{blue}{102030405060708070605040302} \, 0099^2 + \textcolor{blue}{2020202020202020}^2 &= \textcolor{brown}{10203040506070807060504030201} \, 01^2 \\
 \textcolor{blue}{1020304050607080908070605040302} \, 0099^2 + \textcolor{blue}{2020202020202020}^2 &= \textcolor{brown}{102030405060708090807060504030201} \, 01^2
 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2544555>

## 10 Equality Expression with Same Digits

### 10.1 Powers and Sums

$$\textcolor{red}{2020} := 1^7 + 44^2 + 74^0 + 82^1 = 17 + 442 + 740 + 821.$$

<http://doi.org/10.5281/zenodo.2573194>

## 10.2 Factorial and Powers

$$\mathbf{2020} \times 10 + 7 := -1! + (2! + 5! + 6!) \times 4! = -1^6 + 2^5 \times (5^4 + 6^1) + 4^2$$

$$\mathbf{2020} \times 10 + 8 := (1! \times 2! + 5! + 6!) \times 4! = 1^6 \times 2^5 \times (5^4 + 6^1) + 4^2$$

$$\mathbf{2020} \times 10 + 9 := 1! + (2! + 5! + 6!) \times 4! = 1^6 + 2^5 \times (5^4 + 6^1) + 4^2$$

<http://doi.org/10.5281/zenodo.2573569>

## 10.3 Semi-Selfie Expressions

$$\mathbf{2020}^3 := 8242408 \times 1000 = ((8 + 242 - 40 - 8) \times 10 + 00)^3$$

$$\mathbf{2020}^4 := 1664966416 \times 10000 = ((16 + 6 + 4 + 96 + 64 + 16) \times 10 + 000)^4.$$

<http://doi.org/10.5281/zenodo.2562390>

<http://doi.org/10.5281/zenodo.3338366>

# 11 Selfie and Equivalent Fractions

## 11.1 Patterns in Selfie Fractions

$$\frac{101}{\mathbf{2020}} := \frac{1 + 01}{2 \times 020}$$

$$\frac{303}{\mathbf{2020}} := \frac{3 + 03}{2 \times 020}$$

$$\frac{505}{\mathbf{2020}} := \frac{5 + 05}{2 \times 020}$$

$$\frac{707}{\mathbf{2020}} := \frac{7 + 07}{2 \times 020}$$

$$\frac{909}{\mathbf{2020}} := \frac{9 + 09}{2 \times 020}$$

$$\frac{202}{\mathbf{2020}} := \frac{2 + 02}{2 \times 020}$$

$$\frac{404}{\mathbf{2020}} := \frac{4 + 04}{2 \times 020}$$

$$\frac{606}{\mathbf{2020}} := \frac{6 + 06}{2 \times 020}$$

$$\frac{808}{\mathbf{2020}} := \frac{8 + 08}{2 \times 020}$$

<http://doi.org/10.5281/zenodo.3474091>

<http://doi.org/10.5281/zenodo.3520096>

$$\begin{aligned}\frac{101}{202} &:= \frac{1+01}{2 \times 02} \\ \frac{101}{\textcolor{red}{2020}} &:= \frac{1+01}{2 \times 020} \\ \frac{101}{20200} &:= \frac{1+01}{2 \times 0200} \\ \frac{101}{202000} &:= \frac{1+01}{2 \times 02000}\end{aligned}$$

<http://doi.org/10.5281/zenodo.3474091>  
<http://doi.org/10.5281/zenodo.3520096>

$$\begin{aligned}\frac{202}{\textcolor{red}{2020}} &:= \frac{2+02}{2 \times 020} \\ \frac{202}{20200} &:= \frac{2+02}{2 \times 0200} \\ \frac{202}{202000} &:= \frac{2+02}{2 \times 02000} \\ \frac{202}{2020000} &:= \frac{2+02}{2 \times 020000}\end{aligned}$$

<http://doi.org/10.5281/zenodo.3474091>  
<http://doi.org/10.5281/zenodo.3520096>

## 12 Functional Representations

### 12.1 Fibonacci Sequences

$$F(0) = F(1) = 1, F(n) = F(n-1) + F(n-2), \quad n \geq 2,$$

$$0, 1, 1, 2, 3, 5, 8, 13, \dots$$

Then,

$$\textcolor{red}{2020} := F(2) + F(4) + F(6) + F(9) + F(14) + F(17)$$

<http://doi.org/10.5281/zenodo.2575093>

## 12.2 Fibonacci Sequences Pattern

$$\begin{aligned}
 1\, \textcolor{red}{2020} + 0 &:= F(4) + F(6) + F(8) + F(10) + F(16) + F(21) \\
 1\, \textcolor{blue}{2020} + 1 &:= F(2) + F(4) + F(6) + F(8) + F(10) + F(16) + F(21) \\
 1\, \textcolor{red}{2020} + 2 &:= F(11) + F(16) + F(21) \\
 1\, \textcolor{blue}{2020} + 3 &:= F(2) + F(11) + F(16) + F(21) \\
 1\, \textcolor{red}{2020} + 4 &:= F(3) + F(11) + F(16) + F(21) \\
 1\, \textcolor{blue}{2020} + 5 &:= F(4) + F(11) + F(16) + F(21) \\
 1\, \textcolor{red}{2020} + 6 &:= F(2) + F(4) + F(11) + F(16) + F(21) \\
 1\, \textcolor{blue}{2020} + 7 &:= F(5) + F(11) + F(16) + F(21) \\
 1\, \textcolor{red}{2020} + 8 &:= F(2) + F(5) + F(11) + F(16) + F(21) \\
 1\, \textcolor{blue}{2020} + 9 &:= F(3) + F(5) + F(11) + F(16) + F(21)
 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2575093>

## 12.3 Triangular Number

$$T(n) := \frac{n \times (n+1)}{2}, n \geq 0.$$

Then,

$$\textcolor{red}{2020} := T(19) + T(60)$$

<http://doi.org/10.5281/zenodo.2575093>

## 12.4 Triangular Number Pattern

$1 \textcolor{red}{2020} + 0 := T(2) + T(73) + T(136)$   
 $1 \textcolor{red}{2020} + 1 := T(2) + T(80) + T(132)$   
 $1 \textcolor{red}{2020} + 2 := T(3) + T(44) + T(148)$   
 $1 \textcolor{red}{2020} + 3 := T(3) + T(73) + T(136)$   
 $1 \textcolor{red}{2020} + 4 := T(3) + T(80) + T(132)$   
 $1 \textcolor{red}{2020} + 5 := T(4) + T(65) + T(140)$   
 $1 \textcolor{red}{2020} + 6 := T(13) + T(154)$   
 $1 \textcolor{red}{2020} + 7 := T(63) + T(141)$   
 $1 \textcolor{red}{2020} + 8 := T(37) + T(150)$   
 $1 \textcolor{red}{2020} + 9 := T(1) + T(37) + T(150)$

<http://doi.org/10.5281/zenodo.2575093>

## 13 Fixed Digits Repetitions Prime Patterns

### 13.1 Length 6

**► 2020 01**  
 $\textcolor{red}{2020} \textcolor{brown}{4578} \textcolor{blue}{01}$   
 $\textcolor{red}{2020} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{blue}{01}$   
 $\textcolor{red}{2020} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{blue}{01}$   
 $\textcolor{red}{2020} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{blue}{01}$   
 $\textcolor{red}{2020} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{brown}{4578} \textcolor{blue}{01}$

<http://doi.org/10.5281/zenodo.2561096>

► **2020 21**

**2020 7611 21**

**2020 7611 7611 21**

**2020 7611 7611 7611 21**

**2020 7611 7611 7611 7611 21**

**2020 7611 7611 7611 7611 7611 21**

<http://doi.org/10.5281/zenodo.2561096>

► **2020 423**

**2020 162 423**

**2020 162 162 423**

**2020 162 162 162 423**

**2020 162 162 162 162 423**

**2020 162 162 162 162 162 423**

<http://doi.org/10.5281/zenodo.2561096>

► **2020 831**

**2020 558 831**

**2020 558 558 831**

**2020 558 558 558 831**

**2020 558 558 558 558 831**

**2020 558 558 558 558 558 831**

<http://doi.org/10.5281/zenodo.2561096>

## 13.2 Length 7

► **1 2020 8 1**  
**1 2020 8 9 6 1**  
**1 2020 8 9 6 9 6 1**  
**1 2020 8 9 6 9 6 9 6 1**  
**1 2020 8 9 6 9 6 9 6 9 6 1**  
**1 2020 8 9 6 9 6 9 6 9 6 9 6 1**  
**1 2020 8 9 6 9 6 9 6 9 6 9 6 1**

<http://doi.org/10.5281/zenodo.2560668>

► **129 2020 3**  
**129 2020 6 6 3**  
**129 2020 6 6 6 6 3**  
**129 2020 6 6 6 6 6 3**  
**129 2020 6 6 6 6 6 6 3**  
**129 2020 6 6 6 6 6 6 6 3**  
**129 2020 6 6 6 6 6 6 6 6 3**

<http://doi.org/10.5281/zenodo.2560668>

► **8 2020 8 2 1**  
**8 2020 8 6 2 1**  
**8 2020 8 6 6 2 1**  
**8 2020 8 6 6 6 2 1**  
**8 2020 8 6 6 6 6 2 1**  
**8 2020 8 6 6 6 6 6 2 1**  
**8 2020 8 6 6 6 6 6 6 2 1**

<http://doi.org/10.5281/zenodo.2560668>

### 13.3 Length 8

► **2020 1231**  
**2020 252 1231**  
**2020 252 252 1231**  
**2020 252 252 252 1231**  
**2020 252 252 252 252 1231**  
**2020 252 252 252 252 252 1231**  
**2020 252 252 252 252 252 252 1231**  
**2020 252 252 252 252 252 252 1231**

<http://doi.org/10.5281/zenodo.2560640>

► **3 2020 4 63**  
**3 2020 4 648 63**  
**3 2020 4 648 648 63**  
**3 2020 4 648 648 648 63**  
**3 2020 4 648 648 648 648 63**  
**3 2020 4 648 648 648 648 648 63**  
**3 2020 4 648 648 648 648 648 648 63**

<http://doi.org/10.5281/zenodo.2560640>

► **883 2020 3**

**883 2020 3 567**

**883 2020 3 567 567**

**883 2020 3 567 567 567**

**883 2020 3 567 567 567 567**

**883 2020 3 567 567 567 567 567**

**883 2020 3 567 567 567 567 567 567**

**883 2020 3 567 567 567 567 567 567 567**

<http://doi.org/10.5281/zenodo.2560640>

## 14 Embedded Prime Numbers Patterns

### 14.1 Palindromic Prime Numbers

11101 2020 1 020210111  
 10111101 2020 1 020210111101  
 10210111101 2020 1 020210111101201  
 110210111101 2020 1 0202101111012011  
 1002110210111101 2020 1 02021011110120112001  
 120211002110210111101 2020 1 0202101111012011200112021  
 1001120211002110210111101 2020 1 02021011110120112001120211001  
 1211011001120211002110210111101 2020 1 02021011110120112001120211001101121  
 1101011211011001120211002110210111101 2020 1 02021011110120112001120211001101121101011  
 1021011101011211011001120211002110210111101 2020 1 0202101111012011200112021100110112110101101201  
 110221021011101011211011001120211002110210111101 2020 1 0202101111012011200112021100110112110101110120122011

<http://bit.ly/2LNE63H>

<http://bit.ly/2KzKHcJ>

**122 2020 2 0202221**  
**11002122 2020 2 02022212001112021**  
**1202111002122 2020 2 0202221200111202112111**  
**11121120211002122 2020 2 020222120011120211211101**  
**101111121120211002122 2020 2 0202221200111202112111101**  
**1121101111121120211002122 2020 2 02022212001112021121111011211**  
**11121101111121120211002122 2020 2 020222120011120211211110112111**  
**11001211121101111121120211002122 2020 2 020222120011120211211110112111210011100021**  
**12000111001211121101111121120211002122 2020 2 020222120011120211211110112111210011100021**  
**1021112000111001211121101111121120211002122 2020 2 02022212001112021121111011211121001110002111201**

<http://bit.ly/2LNE63H>

<http://bit.ly/2KzKHcJ>

**1221 2020202 1221**  
**11111221 2020202 12211111**  
**1002111111221 2020202 1221111112001**  
**10021002111111221 2020202 12211111120012001**  
**101210021002111111221 2020202 122111111200120012101**  
**101001101210021002111111221 2020202 122111111200120012101100101**  
**10221101001101210021002111111221 2020202 12211111120012001210110010112201102101**  
**10120110221101001101210021002111111221 2020202 122111111200120012101100101122011021012121**  
**121210120110221101001101210021002111111221 2020202 12211111120012001210110010112201102101212111111**  
**11111121210120110221101001101210021002111111221 2020202 12211111120012001210110010112201102101212111111**

<http://bit.ly/2LNE63H>

<http://bit.ly/2KzKHcJ>

## 14.2 Non Palindromic Prime Numbers

**102 2020 201**  
**1112102 2020 2012111**  
**1211112102 2020 2012111121**  
**12211211112102 2020 20121111211221**  
**1010112211211112102 2020 2012111121122110101**  
**1202101012211211112102 2020 20121111211221101012021**  
**11202101012211211112102 2020 201211112112211010120211**  
**1120111202101012211211112102 2020 2012111121122110101202110211**  
**120221120111202101012211211112102 2020 201211112112211010120211021122021**  
**12221120221120111202101012211211112102 2020 20121111211221101012021102112202112221**  
**1002112221120221120111202101012211211112102 2020 201211112112211010120211021122021122212001**  
**10111002112221120221120111202101012211211112102 2020 20121111211221101012021102112202112221120011101**

<http://bit.ly/2LNE63H>

<http://bit.ly/2KzKHcJ>

## 15 Magic Square Type Embedded Palindromic Prime Numbers

Palindromic prime numbers (palprimes) in rows, columns and principal diagonals. Also embedded rows are palprimes.

- **Magic Square Type Properties**

►	1	7	3	3	7	3	3	7	1
7	9	8	3	8	3	8	9	7	
3	8	0	2	0	2	0	8	3	
3	3	2	1	7	1	2	3	3	
7	8	0	7	0	7	0	8	7	
3	3	2	1	7	1	2	3	3	
3	8	0	2	0	2	0	8	3	
7	9	8	3	8	3	8	9	7	
1	7	3	3	7	3	3	7	1	

- **Embedded Type Properties**

780707087  
 332171233780707087332171233  
 380 2020 83332171233780707087332171233380 2020 83  
 173373371798383897380 2020 83332171233780707087332171233380 2020 83798383897173373371

<http://doi.org/10.5281/zenodo.25784>

- Magic Square Type Properties

► 1 9 7 9 1 9 7 9 1  
 9 5 2 0 2 0 2 5 9  
 7 2 1 3 6 3 1 2 7  
 9 0 3 5 6 5 3 0 9  
 1 2 6 6 8 6 6 2 1  
 9 0 3 5 6 5 3 0 9  
 7 2 1 3 6 3 1 2 7  
 9 5 2 0 2 0 2 5 9  
 1 9 7 9 1 9 7 9 1

- Embedded Type Properties

126686621  
 903565309126686621903565309  
 721363127903565309126686621903565309721363127  
 19791979195 2020 25972136312790356530912668662190356530972136312795 2020 259197919791

## 16 Palindromic-Type Expressions and Patterns

### 16.1 Palindromic-Type Expressions

$$2020 \times 3 \times 11 + 11 \times 3 \times 0202 = 222233 + 332222$$

$$2020 \times 3 \times 12 + 21 \times 3 \times 0202 = 242436 + 634242$$

$$2020 \times 3 \times 13 + 31 \times 3 \times 0202 = 262639 + 936262$$

$$2020 \times 3 \times 21 + 12 \times 3 \times 0202 = 424263 + 362424$$

$$2020 \times 3 \times 22 + 22 \times 3 \times 0202 = 444466 + 664444$$

$$2020 \times 3 \times 23 + 32 \times 3 \times 0202 = 464669 + 966464$$

$$2020 \times 3 \times 31 + 13 \times 3 \times 0202 = 626293 + 392626$$

$$2020 \times 3 \times 32 + 23 \times 3 \times 0202 = 646496 + 694646$$

$$2020 \times 3 \times 33 + 33 \times 3 \times 0202 = 666699 + 996666$$

<http://doi.org/10.5281/zenodo.2541174>

<http://doi.org/10.5281/zenodo.2541187>

$$\begin{aligned}1 \textcolor{blue}{0202} \times 11 + 11 \times \textcolor{red}{2020} 1 &= 112222 + 222211 \\1 \textcolor{blue}{0202} \times 12 + 21 \times \textcolor{red}{2020} 1 &= 122424 + 424221 \\1 \textcolor{blue}{0202} \times 13 + 31 \times \textcolor{red}{2020} 1 &= 132626 + 626231 \\1 \textcolor{blue}{0202} \times 14 + 41 \times \textcolor{red}{2020} 1 &= 142828 + 828241 \\1 \textcolor{blue}{0202} \times 21 + 12 \times \textcolor{red}{2020} 1 &= 214242 + 242412 \\1 \textcolor{blue}{0202} \times 22 + 22 \times \textcolor{red}{2020} 1 &= 224444 + 444422 \\1 \textcolor{blue}{0202} \times 23 + 32 \times \textcolor{red}{2020} 1 &= 234646 + 646432 \\1 \textcolor{blue}{0202} \times 24 + 42 \times \textcolor{red}{2020} 1 &= 244848 + 848442 \\1 \textcolor{blue}{0202} \times 31 + 13 \times \textcolor{red}{2020} 1 &= 316262 + 262613 \\1 \textcolor{blue}{0202} \times 32 + 23 \times \textcolor{red}{2020} 1 &= 326464 + 464623 \\1 \textcolor{blue}{0202} \times 33 + 33 \times \textcolor{red}{2020} 1 &= 336666 + 666633 \\1 \textcolor{blue}{0202} \times 34 + 43 \times \textcolor{red}{2020} 1 &= 346868 + 868643 \\1 \textcolor{blue}{0202} \times 41 + 14 \times \textcolor{red}{2020} 1 &= 418282 + 282814 \\1 \textcolor{blue}{0202} \times 42 + 24 \times \textcolor{red}{2020} 1 &= 428484 + 484824 \\1 \textcolor{blue}{0202} \times 43 + 34 \times \textcolor{red}{2020} 1 &= 438686 + 686834 \\1 \textcolor{blue}{0202} \times 44 + 44 \times \textcolor{red}{2020} 1 &= 448888 + 888844\end{aligned}$$

<http://doi.org/10.5281/zenodo.2541174>  
<http://doi.org/10.5281/zenodo.2541187>

$$\begin{aligned}\textcolor{red}{2020} 0 \times 11 + 11 \times \textcolor{blue}{0202} &= 222200 + 002222 \\\textcolor{red}{2020} 1 \times 11 + 11 \times \textcolor{blue}{10202} &= 222211 + 112222 \\\textcolor{red}{2020} 2 \times 11 + 11 \times \textcolor{blue}{20202} &= 222222 + 222222 \\\textcolor{red}{2020} 3 \times 11 + 11 \times \textcolor{blue}{30202} &= 222233 + 332222 \\\textcolor{red}{2020} 4 \times 11 + 11 \times \textcolor{blue}{40202} &= 222244 + 442222 \\\textcolor{red}{2020} 5 \times 11 + 11 \times \textcolor{blue}{50202} &= 222255 + 552222 \\\textcolor{red}{2020} 6 \times 11 + 11 \times \textcolor{blue}{60202} &= 222266 + 662222 \\\textcolor{red}{2020} 7 \times 11 + 11 \times \textcolor{blue}{70202} &= 222277 + 772222 \\\textcolor{red}{2020} 8 \times 11 + 11 \times \textcolor{blue}{80202} &= 222288 + 882222 \\\textcolor{red}{2020} 9 \times 11 + 11 \times \textcolor{blue}{90202} &= 222299 + 992222\end{aligned}$$

<http://doi.org/10.5281/zenodo.2541174>  
<http://doi.org/10.5281/zenodo.2541187>

$$1 \textcolor{red}{0202} \times 1001 + 1001 \times \textcolor{red}{2020} 1 = 10212202 + 20221201$$
$$1 \textcolor{red}{0202} \times 1002 + 2001 \times \textcolor{red}{2020} 1 = 10222404 + 40422201$$
$$1 \textcolor{red}{0202} \times 1003 + 3001 \times \textcolor{red}{2020} 1 = 10232606 + 60623201$$
$$1 \textcolor{red}{0202} \times 1004 + 4001 \times \textcolor{red}{2020} 1 = 10242808 + 80824201$$
$$1 \textcolor{red}{0202} \times 1011 + 1101 \times \textcolor{red}{2020} 1 = 10314222 + 22241301$$
$$1 \textcolor{red}{0202} \times 1012 + 2101 \times \textcolor{red}{2020} 1 = 10324424 + 42442301$$
$$1 \textcolor{red}{0202} \times 1013 + 3101 \times \textcolor{red}{2020} 1 = 10334626 + 62643301$$
$$1 \textcolor{red}{0202} \times 1014 + 4101 \times \textcolor{red}{2020} 1 = 10344828 + 82844301$$
$$1 \textcolor{red}{0202} \times 1021 + 1201 \times \textcolor{red}{2020} 1 = 10416242 + 24261401$$
$$1 \textcolor{red}{0202} \times 1022 + 2201 \times \textcolor{red}{2020} 1 = 10426444 + 44462401$$
$$1 \textcolor{red}{0202} \times 1023 + 3201 \times \textcolor{red}{2020} 1 = 10436646 + 64663401$$
$$1 \textcolor{red}{0202} \times 1024 + 4201 \times \textcolor{red}{2020} 1 = 10446848 + 84864401$$
$$1 \textcolor{red}{0202} \times 1031 + 1301 \times \textcolor{red}{2020} 1 = 10518262 + 26281501$$
$$1 \textcolor{red}{0202} \times 1032 + 2301 \times \textcolor{red}{2020} 1 = 10528464 + 46482501$$
$$1 \textcolor{red}{0202} \times 1033 + 3301 \times \textcolor{red}{2020} 1 = 10538666 + 66683501$$
$$1 \textcolor{red}{0202} \times 1034 + 4301 \times \textcolor{red}{2020} 1 = 10548868 + 86884501$$

<http://doi.org/10.5281/zenodo.2541174><http://doi.org/10.5281/zenodo.2541187>

$$\begin{aligned}1 \textcolor{red}{0202} \times 101 + 101 \times \textcolor{blue}{2020}1 &= 1030402 + 2040301 \\1 \textcolor{red}{0202} \times 102 + 201 \times \textcolor{blue}{2020}1 &= 1040604 + 4060401 \\1 \textcolor{red}{0202} \times 103 + 301 \times \textcolor{blue}{2020}1 &= 1050806 + 6080501 \\1 \textcolor{red}{0202} \times 111 + 111 \times \textcolor{blue}{2020}1 &= 1132422 + 2242311 \\1 \textcolor{red}{0202} \times 112 + 211 \times \textcolor{blue}{2020}1 &= 1142624 + 4262411 \\1 \textcolor{red}{0202} \times 113 + 311 \times \textcolor{blue}{2020}1 &= 1152826 + 6282511 \\1 \textcolor{red}{0202} \times 121 + 121 \times \textcolor{blue}{2020}1 &= 1234442 + 2444321 \\1 \textcolor{red}{0202} \times 122 + 221 \times \textcolor{blue}{2020}1 &= 1244644 + 4464421 \\1 \textcolor{red}{0202} \times 123 + 321 \times \textcolor{blue}{2020}1 &= 1254846 + 6484521 \\1 \textcolor{red}{0202} \times 131 + 131 \times \textcolor{blue}{2020}1 &= 1336462 + 2646331 \\1 \textcolor{red}{0202} \times 132 + 231 \times \textcolor{blue}{2020}1 &= 1346664 + 4666431 \\1 \textcolor{red}{0202} \times 133 + 331 \times \textcolor{blue}{2020}1 &= 1356866 + 6686531 \\1 \textcolor{red}{0202} \times 141 + 141 \times \textcolor{blue}{2020}1 &= 1438482 + 2848341 \\1 \textcolor{red}{0202} \times 142 + 241 \times \textcolor{blue}{2020}1 &= 1448684 + 4868441 \\1 \textcolor{red}{0202} \times 143 + 341 \times \textcolor{blue}{2020}1 &= 1458886 + 6888541\end{aligned}$$

$$\begin{aligned}1 \textcolor{red}{0202} \times 201 + 102 \times \textcolor{blue}{2020}1 &= 2050602 + 2060502 \\1 \textcolor{red}{0202} \times 202 + 201 \times \textcolor{blue}{2020}1 &= 2060804 + 4080602 \\1 \textcolor{red}{0202} \times 211 + 112 \times \textcolor{blue}{2020}1 &= 2152622 + 2262512 \\1 \textcolor{red}{0202} \times 212 + 212 \times \textcolor{blue}{2020}1 &= 2162824 + 4282612 \\1 \textcolor{red}{0202} \times 221 + 122 \times \textcolor{blue}{2020}1 &= 2254642 + 2464522 \\1 \textcolor{red}{0202} \times 222 + 222 \times \textcolor{blue}{2020}1 &= 2264844 + 4484622 \\1 \textcolor{red}{0202} \times 231 + 132 \times \textcolor{blue}{2020}1 &= 2356662 + 2666532 \\1 \textcolor{red}{0202} \times 232 + 232 \times \textcolor{blue}{2020}1 &= 2366864 + 4686632 \\1 \textcolor{red}{0202} \times 241 + 142 \times \textcolor{blue}{2020}1 &= 2458682 + 2868542 \\1 \textcolor{red}{0202} \times 242 + 242 \times \textcolor{blue}{2020}1 &= 2468884 + 4888642 \\1 \textcolor{red}{0202} \times 301 + 103 \times \textcolor{blue}{2020}1 &= 3070802 + 2080703 \\1 \textcolor{red}{0202} \times 311 + 113 \times \textcolor{blue}{2020}1 &= 3172822 + 2282713 \\1 \textcolor{red}{0202} \times 321 + 123 \times \textcolor{blue}{2020}1 &= 3274842 + 2484723 \\1 \textcolor{red}{0202} \times 331 + 133 \times \textcolor{blue}{2020}1 &= 3376862 + 2686733 \\1 \textcolor{red}{0202} \times 341 + 143 \times \textcolor{blue}{2020}1 &= 3478882 + 2888743\end{aligned}$$

<http://doi.org/10.5281/zenodo.2541174>  
<http://doi.org/10.5281/zenodo.2541187>

$$\begin{aligned}\textcolor{blue}{2020}1 \times 10001 + 10001 \times \textcolor{red}{10202} &= \textcolor{blue}{2020}30201 + 10203 \textcolor{red}{0202} \\\textcolor{blue}{2020}2 \times 10001 + 10001 \times \textcolor{red}{20202} &= \textcolor{blue}{2020}40202 + 20204 \textcolor{red}{0202} \\\textcolor{blue}{2020}3 \times 10001 + 10001 \times \textcolor{red}{30202} &= \textcolor{blue}{2020}50203 + 30205 \textcolor{red}{0202} \\\textcolor{blue}{2020}4 \times 10001 + 10001 \times \textcolor{red}{40202} &= \textcolor{blue}{2020}60204 + 40206 \textcolor{red}{0202} \\\textcolor{blue}{2020}5 \times 10001 + 10001 \times \textcolor{red}{50202} &= \textcolor{blue}{2020}70205 + 50207 \textcolor{red}{0202} \\\textcolor{blue}{2020}6 \times 10001 + 10001 \times \textcolor{red}{60202} &= \textcolor{blue}{2020}80206 + 60208 \textcolor{red}{0202} \\\textcolor{blue}{2020}7 \times 10001 + 10001 \times \textcolor{red}{70202} &= \textcolor{blue}{2020}90207 + 70209 \textcolor{red}{0202}\end{aligned}$$

<http://doi.org/10.5281/zenodo.2541174>  
<http://doi.org/10.5281/zenodo.2541187>

## 16.2 Palindromic-Type Patterns

$$\begin{aligned}
 & \textcolor{blue}{2020} \textcolor{blue}{1} \times 11 + 11 \times \textcolor{blue}{1} \textcolor{blue}{0202} = 222211 + 112222 := 334433 \\
 & \textcolor{blue}{2020} \textcolor{blue}{1} \times 1001 + 1001 \times \textcolor{blue}{1} \textcolor{blue}{0202} = 20221201 + 10212202 := 30433403 \\
 & \textcolor{blue}{2020} \textcolor{blue}{1} \times 100001 + 100001 \times \textcolor{blue}{1} \textcolor{blue}{0202} = 2020120201 + 1020210202 := 3040330403 \\
 & \textcolor{blue}{2020} \textcolor{blue}{1} \times 10000001 + 10000001 \times \textcolor{blue}{1} \textcolor{blue}{0202} = 202010020201 + 102020010202 := 304030030403
 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2541174>  
<http://doi.org/10.5281/zenodo.2541187>

$$\begin{aligned}
 & \textcolor{blue}{2020} \times 10001 + 10001 \times \textcolor{blue}{0202} = \textcolor{blue}{2020} \textcolor{blue}{2020} + \textcolor{blue}{0202} \textcolor{blue}{0202} := 22222222 \\
 & \textcolor{blue}{2020} \times 100001 + 100001 \times \textcolor{blue}{0202} = \textcolor{blue}{2020} \textcolor{blue}{0} \textcolor{blue}{2020} + \textcolor{blue}{0202} \textcolor{blue}{0} \textcolor{blue}{0202} := 222202222 \\
 & \textcolor{blue}{2020} \times 1000001 + 1000001 \times \textcolor{blue}{0202} = \textcolor{blue}{2020} \textcolor{blue}{00} \textcolor{blue}{2020} + \textcolor{blue}{0202} \textcolor{blue}{00} \textcolor{blue}{0202} := 2222002222 \\
 & \textcolor{blue}{2020} \times 10000001 + 10000001 \times \textcolor{blue}{0202} = \textcolor{blue}{2020} \textcolor{blue}{000} \textcolor{blue}{2020} + \textcolor{blue}{0202} \textcolor{blue}{000} \textcolor{blue}{0202} := 22220002222
 \end{aligned}$$

<http://doi.org/10.5281/zenodo.2541174>  
<http://doi.org/10.5281/zenodo.2541187>