Cubic-Type Selfie Numbers, **Zenodo**, March 08, 2019, pp. 1-150,
http://doi.org/10.5281/zenodo.2591257

Cubic-Type Selfie Numbers

Inder J. Taneja[1]

Abstract

*By **selfie numbers**, we understand that the numbers represented by their own digits by use of certain operations, such as, **basic operations, factorial, square-root, Fibonacci squence, Triangular numbers**, etc. In two variables, the **selfie numbers** are obtained by use of **binomial coefficients**, **S-gonal numbers**, **centered polygonal numbers**, etc. This paper brings **selfie numbers** in terms of **cubic numbers**. Some **cubic-type patterned selfie numbers** are also studied. The work is up to 5-digits numbers in **digit's order** and **reverse order** of digits.*

Contents

[1]*Formerly, Professor of Mathematics, Federal University of Santa Catarina, Florianópolis, SC, Brazil (1978-2012). Also worked at Delhi University, India (1976-1978). Ph. D. - Delhi University, India, 1975.*
***E-mail:** ijtaneja@gmail.com; **Web-site:** https://inderjtaneja.com;*
***Twitter:** @IJTANEJA; **Instagram:** @crazynumbers.*

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1 Introduction

This subsection brings selfie number using **S-gonal values**. This we have done in separate parts. Before let's see the definition of **S-gonal values**.

1.1 S-gonal Numbers

The general formula for **s-sides of a polygon** (**s-gonal**) [4, 8] is given by

$$\mathbf{P(n,s)} = \mathbf{P_s(n)} := \frac{n(n-1)(s-2)}{2} + n, \quad s > 2. \tag{1}$$

See below some particular cases of equation (1):

(i)

$$\textbf{Triangle (3-gonal):} \quad P_3(n) = T(n) := \frac{n(n+1)}{2} \tag{2}$$
$$\textbf{Sequence values:} \quad 1, 3, 6, 10, 15, ...$$

(ii) *This is also known by* ***triangular numbers****.*

$$\textbf{Square (4-gonal):} \quad P_4(n) = Q(n) := n^2 \tag{3}$$
$$\textbf{Sequence values:} \quad 1, 4, 9, 16, 25, ...$$

This is also known by ***quadratic function*** *or* ***quadratic numbers****.*

1.2 S-gonal-Type Selfie Numbers

See below some examples in **digit's order** and **reverse order of digits** of **selfie numbers** in terms of **S-gonal numbers** given in (1):

$$\mathbf{4992} := P(4!, 9+9+2)$$
$$\mathbf{7744} := (P(7,7) - 4!)^{\sqrt{4}}$$
$$\mathbf{7896} := 7 \times P(8 \times \sqrt{9}, 6)$$
$$\mathbf{65485} := -P(6,5) + \sqrt{4} \times 8^5$$
$$\mathbf{65943} := P(6,5) \times ((\sqrt{9})!^4 - 3)$$
$$\mathbf{67977} := (6+7) \times (P(9,7) + 7!)$$
$$\mathbf{72495} := -P(7+2,4) + 9!/5$$
$$\mathbf{83544} := \sqrt{P(8,3)} \times (5! - \sqrt{4})^{\sqrt{4}}$$
$$\mathbf{8967} := 7 \times P(P(6,\sqrt{9}),8)$$
$$\mathbf{9504} := 4! \times P(\sqrt{0!+5!}, 9)$$
$$\mathbf{9744} := 4! \times P(4 \times 7, \sqrt{9})$$
$$\mathbf{49281} := 1 \times 8! + P(29, 4!)$$
$$\mathbf{49548} := -8! - P(4!, 5) + 9!/4$$
$$\mathbf{50424} := 4! \times P(-2+4!, \sqrt{0!+5!})$$
$$\mathbf{52895} := (5 + P(9,8))^2 - 5$$
$$\mathbf{53995} := (5! - P(9, \sqrt{9})) \times 3!! - 5$$

The symbol **P** used for **S-gonal numbers** and $\mathbf{P(n,s)}$ as given in (1). For more details refer author's work [12].

1.3 Triangular Numbers

Triangular numbers are very much famous in the literature of mathematics. The general formula to write these numbers is given by

$$T(n) = 1 + 2 + 3 + ... = \frac{n+1}{2} = C(n+1, 2).$$

Below are some examples of **Triangular-type selfie numbers** in **digit's order** and in **reverse order of digits** [17]:

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$$\begin{aligned}
\mathbf{1069} &:= T(10) - T(6) + T(T(9)) \\
\mathbf{1081} &:= T(1 + T(08 + 1)) \\
\mathbf{2887} &:= T(T(T(T(2)))) + T(T(8) + T(8)) + T(7) \\
\mathbf{4965} &:= T(-4 + 9) + T(-T(6) + T(T(5))) \\
\mathbf{4999} &:= 49 + T(99) \\
\mathbf{99545} &:= T(9) + T(9) \times T(T(T(5) - 4)) + 5 \\
\mathbf{99546} &:= T(9) + T(9) \times T(T(T(5) - 4)) + 6.
\end{aligned}$$

$$\begin{aligned}
\mathbf{874} &:= T(T(T(4))) - T(T(7) + 8) \\
\mathbf{0105} &:= 50 + T(10) \\
\mathbf{1155} &:= -T(T(5)) + T(51 - 1) \\
\mathbf{1224} &:= T(T(T(4)) - T(T(2))) - 2 + 1 \\
\mathbf{2418} &:= T(81) - T(42) \\
\mathbf{99632} &:= 2 + (3 + T(T(6) + T(9))) \times T(9) \\
\mathbf{99633} &:= 3 + (3 + T(T(6) + T(9))) \times T(9).
\end{aligned}$$

1.4 Quadratic-Type Selfies

The formula for **quadratic numbers** is given by

$$\boldsymbol{Q(n)} := n^2,\ n > 0, n \in \boldsymbol{N}.$$

Below are some examples of selfie numbers with **quadratic-type selfie numbers**. These are in **digit's order** and in**reverse order of digits**:

$$\begin{aligned}
\mathbf{48} &:= -Q(4) + Q(8) \\
\mathbf{81} &:= Q(8 + 1) \\
\mathbf{128} &:= 1 \times 2 \times Q(8) \\
\mathbf{292} &:= Q(Q(Q(2))) + 9 \times Q(2) \\
\mathbf{322} &:= Q(Q(3) \times 2) - 2 \\
\mathbf{1036} &:= 10^3 + Q(6) \\
\mathbf{1125} &:= Q(11 + Q(2)) \times 5 \\
\mathbf{1729} &:= 1 \times 7 \times (Q(Q(Q(2))) - 9) \\
\mathbf{9843} &:= ((Q((-(9) + Q(8))) + Q(Q(4))) \times 3) \\
\mathbf{10025} &:= ((100^2) + Q(5)) \\
\mathbf{10384} &:= ((-(1) - ((0 - Q(Q(3))) \times (-8))) \times (-Q(4))) \\
\mathbf{99378} &:= (9 \times ((Q(93) + Q(Q(7))) - 8))
\end{aligned}$$

$$\begin{aligned}
\mathbf{49} &:= Q((-(9) + Q(4))) \\
\mathbf{89} &:= Q(9) + 8 \\
\mathbf{224} &:= ((Q(4) - 2) \times Q(Q(2))) \\
\mathbf{275} &:= Q(5) \times (7 + Q(2)) \\
\mathbf{736} &:= (Q((Q(6) - Q(3))) + (7)) \\
\mathbf{0107} &:= 7 + Q(010) \\
\mathbf{0231} &:= -((Q(13) - Q(20))) \\
\mathbf{1257} &:= 7 + Q(Q(5)) \times 2 \times 1 \\
\mathbf{2239} &:= ((-(Q(9)) + Q((3 \times Q(Q(2))))) + (Q(Q(2)))) \\
\mathbf{08136} &:= (Q(6) + Q((Q(3) + ((1 + 80))))) \\
\mathbf{15323} &:= (Q(Q(Q(3))) + ((Q(Q(Q(2))) + (Q(Q(3)))) \times (Q(5) + 1))) \\
\mathbf{37293} &:= (-(3) + (((Q(Q(9)) - Q(Q(2))) - Q(Q(7))) \times Q(3)))
\end{aligned}$$

There are many ways of representing **selfie numbers**. They can be represented in digit's order, reverse order of digits, increasing and/or decreasing order of digits, etc. These can be obtained by use of basis operations along with **factorial, square-root, Fibonacci sequence, Triangular numbers, binomial coefficients, s-gonal values, centered polygonal numbers**, etc. Below is item-wise details of author's work on **selfie numbers**. These are in **digit's order**, and in **reverse order of digits**:

1. Selfie numbers with **Basic Operations**; [10, 11];
2. Selfie numbers with **Factorial**: [22, 23];
3. Selfie numbers with **Square-root**: [9, 10];
4. Selfie numbers with **Factorial and Square-root**: [9, 10, 11];
5. Selfie numbers with **Fibonacci sequence**: [19, 20];
6. Selfie numbers with **Triangular numbers**: [17];
7. Selfie numbers with **Binomial coefficients**: [18];

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8. Selfie numbers with **S-gonal numbers**: [12];
9. Selfie numbers with **Centered Polygonal**: [12];
10. Selfie numbers with **Concatenation-Type**: [13];
11. Selfie numbers with **Quadratic numbers**: [21];

The last section 4 brings the summary of **selfie numbers**.

1.5 Cubic Numbers

Similar to **quadratic-type selfie numbers**, the aim of this work is to bring selfie numbers using **cubic-type selfie numbers**. The work in **digit's order** and also in **reverse order of digits**. The formula for **cubic numbers** is given by

$$\boldsymbol{C(n)} := n^3,\ n > 0, n \in \boldsymbol{N}. \tag{4}$$

Remark 1.1. *The notation* $\mathbf{C}(.\ ,\ .)$ *in two variables represent* ***binomial coefficients****, while the* $\mathbf{C}(.\ )$ *in single variable represent* ***cubic numbers****.*

2 Cubic-Type Selfie Numbers: Digit's Order

This section brings **cubic-type selfie numbers** in digit's order up to 5-digits numbers. It is divided in two subsection. The first one give consecutive and symmetric blocks of 10 or 100 numbers. The section subsection give general values.

2.1 Symmetric and Consecutive

$\mathbf{250} := 2 \times C(5) + 0$
$\mathbf{251} := 2 \times C(5) + 1$
$\mathbf{252} := 2 \times C(5) + 2$
$\mathbf{253} := 2 \times C(5) + 3$
$\mathbf{254} := 2 \times C(5) + 4$
$\mathbf{255} := 2 \times C(5) + 5$
$\mathbf{256} := 2 \times C(5) + 6$
$\mathbf{257} := 2 \times C(5) + 7$
$\mathbf{258} := 2 \times C(5) + 8$
$\mathbf{259} := 2 \times C(5) + 9$

$\mathbf{370} := C(3) + C(7) + 0$
$\mathbf{371} := C(3) + C(7) + 1$
$\mathbf{372} := C(3) + C(7) + 2$
$\mathbf{373} := C(3) + C(7) + 3$
$\mathbf{374} := C(3) + C(7) + 4$
$\mathbf{375} := C(3) + C(7) + 5$
$\mathbf{376} := C(3) + C(7) + 6$
$\mathbf{377} := C(3) + C(7) + 7$
$\mathbf{378} := C(3) + C(7) + 8$
$\mathbf{379} := C(3) + C(7) + 9$

$\mathbf{1000} := C(10) + 00$
$\mathbf{1001} := C(10) + 01$
$\mathbf{1002} := C(10) + 02$
$\mathbf{1003} := C(10) + 03$
$\mathbf{1004} := C(10) + 04$
$\mathbf{1005} := C(10) + 05$
$\mathbf{1006} := C(10) + 06$
$\mathbf{1007} := C(10) + 07$
$\mathbf{1008} := C(10) + 08$
$\mathbf{1009} := C(10) + 09$
$\mathbf{1010} := C(10) + 10$
$\mathbf{1011} := C(10) + 11$
$\mathbf{1012} := C(10) + 12$
$\mathbf{1013} := C(10) + 13$
$\mathbf{1014} := C(10) + 14$
$\mathbf{1015} := C(10) + 15$
$\mathbf{1016} := C(10) + 16$
$\mathbf{1017} := C(10) + 17$

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1018 $:= C(10) + 18$
1019 $:= C(10) + 19$
1020 $:= C(10) + 20$
1021 $:= C(10) + 21$
1022 $:= C(10) + 22$
1023 $:= C(10) + 23$
1024 $:= C(10) + 24$
1025 $:= C(10) + 25$
1026 $:= C(10) + 26$
1027 $:= C(10) + 27$
1028 $:= C(10) + 28$
1029 $:= C(10) + 29$
1030 $:= C(10) + 30$
1031 $:= C(10) + 31$
1032 $:= C(10) + 32$
1033 $:= C(10) + 33$
1034 $:= C(10) + 34$
1035 $:= C(10) + 35$
1036 $:= C(10) + 36$
1037 $:= C(10) + 37$
1038 $:= C(10) + 38$
1039 $:= C(10) + 39$
1040 $:= C(10) + 40$
1041 $:= C(10) + 41$
1042 $:= C(10) + 42$
1043 $:= C(10) + 43$
1044 $:= C(10) + 44$
1045 $:= C(10) + 45$
1046 $:= C(10) + 46$
1047 $:= C(10) + 47$
1048 $:= C(10) + 48$
1049 $:= C(10) + 49$
1050 $:= C(10) + 00$
1051 $:= C(10) + 51$
1052 $:= C(10) + 52$
1053 $:= C(10) + 53$
1054 $:= C(10) + 54$
1055 $:= C(10) + 55$
1056 $:= C(10) + 56$
1057 $:= C(10) + 57$

1058 $:= C(10) + 58$
1059 $:= C(10) + 59$
1060 $:= C(10) + 60$
1061 $:= C(10) + 61$
1062 $:= C(10) + 62$
1063 $:= C(10) + 63$
1064 $:= C(10) + 64$
1065 $:= C(10) + 65$
1066 $:= C(10) + 66$
1067 $:= C(10) + 67$
1068 $:= C(10) + 68$
1069 $:= C(10) + 69$
1070 $:= C(10) + 70$
1071 $:= C(10) + 71$
1072 $:= C(10) + 72$
1073 $:= C(10) + 73$
1074 $:= C(10) + 74$
1075 $:= C(10) + 75$
1076 $:= C(10) + 76$
1077 $:= C(10) + 77$
1078 $:= C(10) + 78$
1079 $:= C(10) + 79$
1080 $:= C(10) + 80$
1081 $:= C(10) + 81$
1082 $:= C(10) + 82$
1083 $:= C(10) + 83$
1084 $:= C(10) + 84$
1085 $:= C(10) + 85$
1086 $:= C(10) + 86$
1087 $:= C(10) + 87$
1088 $:= C(10) + 88$
1089 $:= C(10) + 89$
1090 $:= C(10) + 90$
1091 $:= C(10) + 91$
1092 $:= C(10) + 92$
1093 $:= C(10) + 93$
1094 $:= C(10) + 94$
1095 $:= C(10) + 95$
1096 $:= C(10) + 96$
1097 $:= C(10) + 97$

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$\mathbf{1098} := C(10) + 98$
$\mathbf{1099} := C(10) + 99$

$\mathbf{2240} := C(C(2)) + C(C(2) + 4) + 0$
$\mathbf{2241} := C(C(2)) + C(C(2) + 4) + 1$
$\mathbf{2242} := C(C(2)) + C(C(2) + 4) + 2$
$\mathbf{2243} := C(C(2)) + C(C(2) + 4) + 3$
$\mathbf{2244} := C(C(2)) + C(C(2) + 4) + 4$
$\mathbf{2245} := C(C(2)) + C(C(2) + 4) + 5$
$\mathbf{2246} := C(C(2)) + C(C(2) + 4) + 6$
$\mathbf{2247} := C(C(2)) + C(C(2) + 4) + 7$
$\mathbf{2248} := C(C(2)) + C(C(2) + 4) + 8$
$\mathbf{2249} := C(C(2)) + C(C(2) + 4) + 9$

$\mathbf{2740} := C(2 \times 7) - 4 + 0$
$\mathbf{2741} := C(2 \times 7) - 4 + 1$
$\mathbf{2742} := C(2 \times 7) - 4 + 2$
$\mathbf{2743} := C(2 \times 7) - 4 + 3$
$\mathbf{2744} := C(2 \times 7) - 4 + 4$
$\mathbf{2745} := C(2 \times 7) - 4 + 5$
$\mathbf{2746} := C(2 \times 7) - 4 + 6$
$\mathbf{2747} := C(2 \times 7) - 4 + 7$
$\mathbf{2748} := C(2 \times 7) - 4 + 8$
$\mathbf{2749} := C(2 \times 7) - 4 + 9$

$\mathbf{3880} := (-C(3) + C(8)) \times 8 + 0$
$\mathbf{3881} := (-C(3) + C(8)) \times 8 + 1$
$\mathbf{3882} := (-C(3) + C(8)) \times 8 + 2$
$\mathbf{3883} := (-C(3) + C(8)) \times 8 + 3$
$\mathbf{3884} := (-C(3) + C(8)) \times 8 + 4$
$\mathbf{3885} := (-C(3) + C(8)) \times 8 + 5$
$\mathbf{3886} := (-C(3) + C(8)) \times 8 + 6$
$\mathbf{3887} := (-C(3) + C(8)) \times 8 + 7$
$\mathbf{3888} := (-C(3) + C(8)) \times 8 + 8$
$\mathbf{3889} := (-C(3) + C(8)) \times 8 + 9$

$\mathbf{4160} := C(4) + C(16) + 0$
$\mathbf{4161} := C(4) + C(16) + 1$
$\mathbf{4162} := C(4) + C(16) + 2$
$\mathbf{4163} := C(4) + C(16) + 3$
$\mathbf{4164} := C(4) + C(16) + 4$
$\mathbf{4165} := C(4) + C(16) + 5$
$\mathbf{4166} := C(4) + C(16) + 6$
$\mathbf{4167} := C(4) + C(16) + 7$
$\mathbf{4168} := C(4) + C(16) + 8$
$\mathbf{4169} := C(4) + C(16) + 9$

$\mathbf{7560} := 7 \times 5 \times C(6) + 0$
$\mathbf{7561} := 7 \times 5 \times C(6) + 1$
$\mathbf{7562} := 7 \times 5 \times C(6) + 2$
$\mathbf{7563} := 7 \times 5 \times C(6) + 3$
$\mathbf{7564} := 7 \times 5 \times C(6) + 4$
$\mathbf{7565} := 7 \times 5 \times C(6) + 5$
$\mathbf{7566} := 7 \times 5 \times C(6) + 6$
$\mathbf{7567} := 7 \times 5 \times C(6) + 7$
$\mathbf{7568} := 7 \times 5 \times C(6) + 8$
$\mathbf{7569} := 7 \times 5 \times C(6) + 9$

$\mathbf{14750} := (C(1 + 4) - 7) \times C(5) + 0$
$\mathbf{14751} := (C(1 + 4) - 7) \times C(5) + 1$
$\mathbf{14752} := (C(1 + 4) - 7) \times C(5) + 2$
$\mathbf{14753} := (C(1 + 4) - 7) \times C(5) + 3$
$\mathbf{14754} := (C(1 + 4) - 7) \times C(5) + 4$
$\mathbf{14755} := (C(1 + 4) - 7) \times C(5) + 5$
$\mathbf{14756} := (C(1 + 4) - 7) \times C(5) + 6$
$\mathbf{14757} := (C(1 + 4) - 7) \times C(5) + 7$
$\mathbf{14758} := (C(1 + 4) - 7) \times C(5) + 8$
$\mathbf{14759} := (C(1 + 4) - 7) \times C(5) + 9$

$\mathbf{15250} := (-1 + C(5) - 2) \times C(5) + 0$
$\mathbf{15251} := (-1 + C(5) - 2) \times C(5) + 1$
$\mathbf{15252} := (-1 + C(5) - 2) \times C(5) + 2$
$\mathbf{15253} := (-1 + C(5) - 2) \times C(5) + 3$
$\mathbf{15254} := (-1 + C(5) - 2) \times C(5) + 4$
$\mathbf{15255} := (-1 + C(5) - 2) \times C(5) + 5$
$\mathbf{15256} := (-1 + C(5) - 2) \times C(5) + 6$
$\mathbf{15257} := (-1 + C(5) - 2) \times C(5) + 7$
$\mathbf{15258} := (-1 + C(5) - 2) \times C(5) + 8$
$\mathbf{15259} := (-1 + C(5) - 2) \times C(5) + 9$

$\mathbf{15500} := (-1 + C(5)) \times C(5) + 00$
$\mathbf{15501} := (-1 + C(5)) \times C(5) + 01$
$\mathbf{15502} := (-1 + C(5)) \times C(5) + 02$

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$$15503 := (-1 + C(5)) \times C(5) + 03$$
$$15504 := (-1 + C(5)) \times C(5) + 04$$
$$15505 := (-1 + C(5)) \times C(5) + 05$$
$$15506 := (-1 + C(5)) \times C(5) + 06$$
$$15507 := (-1 + C(5)) \times C(5) + 07$$
$$15508 := (-1 + C(5)) \times C(5) + 08$$
$$15509 := (-1 + C(5)) \times C(5) + 09$$
$$15510 := (-1 + C(5)) \times C(5) + 10$$
$$15511 := (-1 + C(5)) \times C(5) + 11$$
$$15512 := (-1 + C(5)) \times C(5) + 12$$
$$15513 := (-1 + C(5)) \times C(5) + 13$$
$$15514 := (-1 + C(5)) \times C(5) + 14$$
$$15515 := (-1 + C(5)) \times C(5) + 15$$
$$15516 := (-1 + C(5)) \times C(5) + 16$$
$$15517 := (-1 + C(5)) \times C(5) + 17$$
$$15518 := (-1 + C(5)) \times C(5) + 18$$
$$15519 := (-1 + C(5)) \times C(5) + 19$$
$$15520 := (-1 + C(5)) \times C(5) + 20$$
$$15521 := (-1 + C(5)) \times C(5) + 21$$
$$15522 := (-1 + C(5)) \times C(5) + 22$$
$$15523 := (-1 + C(5)) \times C(5) + 23$$
$$15524 := (-1 + C(5)) \times C(5) + 24$$
$$15525 := (-1 + C(5)) \times C(5) + 25$$
$$15526 := (-1 + C(5)) \times C(5) + 26$$
$$15527 := (-1 + C(5)) \times C(5) + 27$$
$$15528 := (-1 + C(5)) \times C(5) + 28$$
$$15529 := (-1 + C(5)) \times C(5) + 29$$
$$15530 := (-1 + C(5)) \times C(5) + 30$$
$$15531 := (-1 + C(5)) \times C(5) + 31$$
$$15532 := (-1 + C(5)) \times C(5) + 32$$
$$15533 := (-1 + C(5)) \times C(5) + 33$$
$$15534 := (-1 + C(5)) \times C(5) + 34$$
$$15535 := (-1 + C(5)) \times C(5) + 35$$
$$15536 := (-1 + C(5)) \times C(5) + 36$$
$$15537 := (-1 + C(5)) \times C(5) + 37$$
$$15538 := (-1 + C(5)) \times C(5) + 38$$
$$15539 := (-1 + C(5)) \times C(5) + 39$$
$$15540 := (-1 + C(5)) \times C(5) + 40$$
$$15541 := (-1 + C(5)) \times C(5) + 41$$
$$15542 := (-1 + C(5)) \times C(5) + 42$$
$$15543 := (-1 + C(5)) \times C(5) + 43$$
$$15544 := (-1 + C(5)) \times C(5) + 44$$
$$15545 := (-1 + C(5)) \times C(5) + 45$$
$$15546 := (-1 + C(5)) \times C(5) + 46$$
$$15547 := (-1 + C(5)) \times C(5) + 47$$
$$15548 := (-1 + C(5)) \times C(5) + 48$$
$$15549 := (-1 + C(5)) \times C(5) + 49$$
$$15550 := (-1 + C(5)) \times C(5) + 50$$
$$15551 := (-1 + C(5)) \times C(5) + 51$$
$$15552 := (-1 + C(5)) \times C(5) + 52$$
$$15553 := (-1 + C(5)) \times C(5) + 53$$
$$15554 := (-1 + C(5)) \times C(5) + 54$$
$$15555 := (-1 + C(5)) \times C(5) + 55$$
$$15556 := (-1 + C(5)) \times C(5) + 56$$
$$15557 := (-1 + C(5)) \times C(5) + 57$$
$$15558 := (-1 + C(5)) \times C(5) + 58$$
$$15559 := (-1 + C(5)) \times C(5) + 59$$
$$15560 := (-1 + C(5)) \times C(5) + 60$$
$$15561 := (-1 + C(5)) \times C(5) + 61$$
$$15562 := (-1 + C(5)) \times C(5) + 62$$
$$15563 := (-1 + C(5)) \times C(5) + 63$$
$$15564 := (-1 + C(5)) \times C(5) + 64$$
$$15565 := (-1 + C(5)) \times C(5) + 65$$
$$15566 := (-1 + C(5)) \times C(5) + 66$$
$$15567 := (-1 + C(5)) \times C(5) + 67$$
$$15568 := (-1 + C(5)) \times C(5) + 68$$
$$15569 := (-1 + C(5)) \times C(5) + 69$$
$$15570 := (-1 + C(5)) \times C(5) + 70$$
$$15571 := (-1 + C(5)) \times C(5) + 71$$
$$15572 := (-1 + C(5)) \times C(5) + 72$$
$$15573 := (-1 + C(5)) \times C(5) + 73$$
$$15574 := (-1 + C(5)) \times C(5) + 74$$
$$15575 := (-1 + C(5)) \times C(5) + 75$$
$$15576 := (-1 + C(5)) \times C(5) + 76$$
$$15577 := (-1 + C(5)) \times C(5) + 77$$
$$15578 := (-1 + C(5)) \times C(5) + 78$$
$$15579 := (-1 + C(5)) \times C(5) + 79$$
$$15580 := (-1 + C(5)) \times C(5) + 80$$
$$15581 := (-1 + C(5)) \times C(5) + 81$$
$$15582 := (-1 + C(5)) \times C(5) + 82$$

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$$\mathbf{15583} := (-1 + C(5)) \times C(5) + 83$$
$$\mathbf{15584} := (-1 + C(5)) \times C(5) + 84$$
$$\mathbf{15585} := (-1 + C(5)) \times C(5) + 85$$
$$\mathbf{15586} := (-1 + C(5)) \times C(5) + 86$$
$$\mathbf{15587} := (-1 + C(5)) \times C(5) + 87$$
$$\mathbf{15588} := (-1 + C(5)) \times C(5) + 88$$
$$\mathbf{15589} := (-1 + C(5)) \times C(5) + 89$$
$$\mathbf{15590} := (-1 + C(5)) \times C(5) + 90$$
$$\mathbf{15591} := (-1 + C(5)) \times C(5) + 91$$
$$\mathbf{15592} := (-1 + C(5)) \times C(5) + 92$$
$$\mathbf{15593} := (-1 + C(5)) \times C(5) + 93$$
$$\mathbf{15594} := (-1 + C(5)) \times C(5) + 94$$
$$\mathbf{15595} := (-1 + C(5)) \times C(5) + 95$$
$$\mathbf{15596} := (-1 + C(5)) \times C(5) + 96$$
$$\mathbf{15597} := (-1 + C(5)) \times C(5) + 97$$
$$\mathbf{15598} := (-1 + C(5)) \times C(5) + 98$$
$$\mathbf{15599} := (-1 + C(5)) \times C(5) + 99$$

$$\mathbf{17360} := C(-1^7 + C(3)) - C(6) + 0$$
$$\mathbf{17361} := C(-1^7 + C(3)) - C(6) + 1$$
$$\mathbf{17362} := C(-1^7 + C(3)) - C(6) + 2$$
$$\mathbf{17363} := C(-1^7 + C(3)) - C(6) + 3$$
$$\mathbf{17364} := C(-1^7 + C(3)) - C(6) + 4$$
$$\mathbf{17365} := C(-1^7 + C(3)) - C(6) + 5$$
$$\mathbf{17366} := C(-1^7 + C(3)) - C(6) + 6$$
$$\mathbf{17367} := C(-1^7 + C(3)) - C(6) + 7$$
$$\mathbf{17368} := C(-1^7 + C(3)) - C(6) + 8$$
$$\mathbf{17369} := C(-1^7 + C(3)) - C(6) + 9$$

$$\mathbf{19630} := 1 - 9 \times 6 + C(C(3)) + 0$$
$$\mathbf{19631} := 1 - 9 \times 6 + C(C(3)) + 1$$
$$\mathbf{19632} := 1 - 9 \times 6 + C(C(3)) + 2$$
$$\mathbf{19633} := 1 - 9 \times 6 + C(C(3)) + 3$$
$$\mathbf{19634} := 1 - 9 \times 6 + C(C(3)) + 4$$
$$\mathbf{19635} := 1 - 9 \times 6 + C(C(3)) + 5$$
$$\mathbf{19636} := 1 - 9 \times 6 + C(C(3)) + 6$$
$$\mathbf{19637} := 1 - 9 \times 6 + C(C(3)) + 7$$
$$\mathbf{19638} := 1 - 9 \times 6 + C(C(3)) + 8$$
$$\mathbf{19639} := 1 - 9 \times 6 + C(C(3)) + 9$$

$$\mathbf{21440} := C(2) \times (C(14) - C(4)) + 0$$
$$\mathbf{21441} := C(2) \times (C(14) - C(4)) + 1$$
$$\mathbf{21442} := C(2) \times (C(14) - C(4)) + 2$$
$$\mathbf{21443} := C(2) \times (C(14) - C(4)) + 3$$
$$\mathbf{21444} := C(2) \times (C(14) - C(4)) + 4$$
$$\mathbf{21445} := C(2) \times (C(14) - C(4)) + 5$$
$$\mathbf{21446} := C(2) \times (C(14) - C(4)) + 6$$
$$\mathbf{21447} := C(2) \times (C(14) - C(4)) + 7$$
$$\mathbf{21448} := C(2) \times (C(14) - C(4)) + 8$$
$$\mathbf{21449} := C(2) \times (C(14) - C(4)) + 9$$

$$\mathbf{21960} := C(2) + C(1 + C(9 - 6)) + 0$$
$$\mathbf{21961} := C(2) + C(1 + C(9 - 6)) + 1$$
$$\mathbf{21962} := C(2) + C(1 + C(9 - 6)) + 2$$
$$\mathbf{21963} := C(2) + C(1 + C(9 - 6)) + 3$$
$$\mathbf{21964} := C(2) + C(1 + C(9 - 6)) + 4$$
$$\mathbf{21965} := C(2) + C(1 + C(9 - 6)) + 5$$
$$\mathbf{21966} := C(2) + C(1 + C(9 - 6)) + 6$$
$$\mathbf{21967} := C(2) + C(1 + C(9 - 6)) + 7$$
$$\mathbf{21968} := C(2) + C(1 + C(9 - 6)) + 8$$
$$\mathbf{21969} := C(2) + C(1 + C(9 - 6)) + 9$$

$$\mathbf{22440} := (-2 + C(C(2))) \times 44 + 0$$
$$\mathbf{22441} := (-2 + C(C(2))) \times 44 + 1$$
$$\mathbf{22442} := (-2 + C(C(2))) \times 44 + 2$$
$$\mathbf{22443} := (-2 + C(C(2))) \times 44 + 3$$
$$\mathbf{22444} := (-2 + C(C(2))) \times 44 + 4$$
$$\mathbf{22445} := (-2 + C(C(2))) \times 44 + 5$$
$$\mathbf{22446} := (-2 + C(C(2))) \times 44 + 6$$
$$\mathbf{22447} := (-2 + C(C(2))) \times 44 + 7$$
$$\mathbf{22448} := (-2 + C(C(2))) \times 44 + 8$$
$$\mathbf{22449} := (-2 + C(C(2))) \times 44 + 9$$

$$\mathbf{22950} := (-2 + C(C(2))) \times 9 \times 5 + 0$$
$$\mathbf{22951} := (-2 + C(C(2))) \times 9 \times 5 + 1$$
$$\mathbf{22952} := (-2 + C(C(2))) \times 9 \times 5 + 2$$
$$\mathbf{22953} := (-2 + C(C(2))) \times 9 \times 5 + 3$$
$$\mathbf{22954} := (-2 + C(C(2))) \times 9 \times 5 + 4$$
$$\mathbf{22955} := (-2 + C(C(2))) \times 9 \times 5 + 5$$
$$\mathbf{22956} := (-2 + C(C(2))) \times 9 \times 5 + 6$$
$$\mathbf{22957} := (-2 + C(C(2))) \times 9 \times 5 + 7$$
$$\mathbf{22958} := (-2 + C(C(2))) \times 9 \times 5 + 8$$

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$$\mathbf{22959} := (-2 + C(C(2))) \times 9 \times 5 + 9$$

$$\mathbf{23870} := C(2 + C(3)) - C(8) - 7 + 0$$
$$\mathbf{23871} := C(2 + C(3)) - C(8) - 7 + 1$$
$$\mathbf{23872} := C(2 + C(3)) - C(8) - 7 + 2$$
$$\mathbf{23873} := C(2 + C(3)) - C(8) - 7 + 3$$
$$\mathbf{23874} := C(2 + C(3)) - C(8) - 7 + 4$$
$$\mathbf{23875} := C(2 + C(3)) - C(8) - 7 + 5$$
$$\mathbf{23876} := C(2 + C(3)) - C(8) - 7 + 6$$
$$\mathbf{23877} := C(2 + C(3)) - C(8) - 7 + 7$$
$$\mathbf{23878} := C(2 + C(3)) - C(8) - 7 + 8$$
$$\mathbf{23879} := C(2 + C(3)) - C(8) - 7 + 9$$

$$\mathbf{24640} := C(2^4) \times 6 + C(4) + 0$$
$$\mathbf{24641} := C(2^4) \times 6 + C(4) + 1$$
$$\mathbf{24642} := C(2^4) \times 6 + C(4) + 2$$
$$\mathbf{24643} := C(2^4) \times 6 + C(4) + 3$$
$$\mathbf{24644} := C(2^4) \times 6 + C(4) + 4$$
$$\mathbf{24645} := C(2^4) \times 6 + C(4) + 5$$
$$\mathbf{24646} := C(2^4) \times 6 + C(4) + 6$$
$$\mathbf{24647} := C(2^4) \times 6 + C(4) + 7$$
$$\mathbf{24648} := C(2^4) \times 6 + C(4) + 8$$
$$\mathbf{24649} := C(2^4) \times 6 + C(4) + 9$$

$$\mathbf{24840} := C(2 + C(4)) - C(8) - C(C(4)) + 0$$
$$\mathbf{24841} := C(2 + C(4)) - C(8) - C(C(4)) + 1$$
$$\mathbf{24842} := C(2 + C(4)) - C(8) - C(C(4)) + 2$$
$$\mathbf{24843} := C(2 + C(4)) - C(8) - C(C(4)) + 3$$
$$\mathbf{24844} := C(2 + C(4)) - C(8) - C(C(4)) + 4$$
$$\mathbf{24845} := C(2 + C(4)) - C(8) - C(C(4)) + 5$$
$$\mathbf{24846} := C(2 + C(4)) - C(8) - C(C(4)) + 6$$
$$\mathbf{24847} := C(2 + C(4)) - C(8) - C(C(4)) + 7$$
$$\mathbf{24848} := C(2 + C(4)) - C(8) - C(C(4)) + 8$$
$$\mathbf{24849} := C(2 + C(4)) - C(8) - C(C(4)) + 9$$

$$\mathbf{26250} := (2 + C(6) - C(2)) \times C(5) + 0$$
$$\mathbf{26251} := (2 + C(6) - C(2)) \times C(5) + 1$$
$$\mathbf{26252} := (2 + C(6) - C(2)) \times C(5) + 2$$
$$\mathbf{26253} := (2 + C(6) - C(2)) \times C(5) + 3$$
$$\mathbf{26254} := (2 + C(6) - C(2)) \times C(5) + 4$$
$$\mathbf{26255} := (2 + C(6) - C(2)) \times C(5) + 5$$
$$\mathbf{26256} := (2 + C(6) - C(2)) \times C(5) + 6$$
$$\mathbf{26257} := (2 + C(6) - C(2)) \times C(5) + 7$$
$$\mathbf{26258} := (2 + C(6) - C(2)) \times C(5) + 8$$
$$\mathbf{26259} := (2 + C(6) - C(2)) \times C(5) + 9$$

$$\mathbf{26350} := -2 + C(6) \times (-3 + C(5)) + 0$$
$$\mathbf{26351} := -2 + C(6) \times (-3 + C(5)) + 1$$
$$\mathbf{26352} := -2 + C(6) \times (-3 + C(5)) + 2$$
$$\mathbf{26353} := -2 + C(6) \times (-3 + C(5)) + 3$$
$$\mathbf{26354} := -2 + C(6) \times (-3 + C(5)) + 4$$
$$\mathbf{26355} := -2 + C(6) \times (-3 + C(5)) + 5$$
$$\mathbf{26356} := -2 + C(6) \times (-3 + C(5)) + 6$$
$$\mathbf{26357} := -2 + C(6) \times (-3 + C(5)) + 7$$
$$\mathbf{26358} := -2 + C(6) \times (-3 + C(5)) + 8$$
$$\mathbf{26359} := -2 + C(6) \times (-3 + C(5)) + 9$$

$$\mathbf{28560} := (-2 + C(8)) \times 56 + 0$$
$$\mathbf{28561} := (-2 + C(8)) \times 56 + 1$$
$$\mathbf{28562} := (-2 + C(8)) \times 56 + 2$$
$$\mathbf{28563} := (-2 + C(8)) \times 56 + 3$$
$$\mathbf{28564} := (-2 + C(8)) \times 56 + 4$$
$$\mathbf{28565} := (-2 + C(8)) \times 56 + 5$$
$$\mathbf{28566} := (-2 + C(8)) \times 56 + 6$$
$$\mathbf{28567} := (-2 + C(8)) \times 56 + 7$$
$$\mathbf{28568} := (-2 + C(8)) \times 56 + 8$$
$$\mathbf{28569} := (-2 + C(8)) \times 56 + 9$$

$$\mathbf{29160} := C(2 \times 9) \times (-1 + 6) + 0$$
$$\mathbf{29161} := C(2 \times 9) \times (-1 + 6) + 1$$
$$\mathbf{29162} := C(2 \times 9) \times (-1 + 6) + 2$$
$$\mathbf{29163} := C(2 \times 9) \times (-1 + 6) + 3$$
$$\mathbf{29164} := C(2 \times 9) \times (-1 + 6) + 4$$
$$\mathbf{29165} := C(2 \times 9) \times (-1 + 6) + 5$$
$$\mathbf{29166} := C(2 \times 9) \times (-1 + 6) + 6$$
$$\mathbf{29167} := C(2 \times 9) \times (-1 + 6) + 7$$
$$\mathbf{29168} := C(2 \times 9) \times (-1 + 6) + 8$$
$$\mathbf{29169} := C(2 \times 9) \times (-1 + 6) + 9$$

$$\mathbf{31250} := (3 - 1) \times C(25) + 0$$
$$\mathbf{31251} := (3 - 1) \times C(25) + 1$$
$$\mathbf{31252} := (3 - 1) \times C(25) + 2$$

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$$\mathbf{31253} := (3-1) \times C(25) + 3$$
$$\mathbf{31254} := (3-1) \times C(25) + 4$$
$$\mathbf{31255} := (3-1) \times C(25) + 5$$
$$\mathbf{31256} := (3-1) \times C(25) + 6$$
$$\mathbf{31257} := (3-1) \times C(25) + 7$$
$$\mathbf{31258} := (3-1) \times C(25) + 8$$
$$\mathbf{31259} := (3-1) \times C(25) + 9$$

$$\mathbf{31850} := C(C(3)) + C(18+5) + 0$$
$$\mathbf{31851} := C(C(3)) + C(18+5) + 1$$
$$\mathbf{31852} := C(C(3)) + C(18+5) + 2$$
$$\mathbf{31853} := C(C(3)) + C(18+5) + 3$$
$$\mathbf{31854} := C(C(3)) + C(18+5) + 4$$
$$\mathbf{31855} := C(C(3)) + C(18+5) + 5$$
$$\mathbf{31856} := C(C(3)) + C(18+5) + 6$$
$$\mathbf{31857} := C(C(3)) + C(18+5) + 7$$
$$\mathbf{31858} := C(C(3)) + C(18+5) + 8$$
$$\mathbf{31859} := C(C(3)) + C(18+5) + 9$$

$$\mathbf{32740} := C(32) - 7 \times 4 + 0$$
$$\mathbf{32741} := C(32) - 7 \times 4 + 1$$
$$\mathbf{32742} := C(32) - 7 \times 4 + 2$$
$$\mathbf{32743} := C(32) - 7 \times 4 + 3$$
$$\mathbf{32744} := C(32) - 7 \times 4 + 4$$
$$\mathbf{32745} := C(32) - 7 \times 4 + 5$$
$$\mathbf{32746} := C(32) - 7 \times 4 + 6$$
$$\mathbf{32747} := C(32) - 7 \times 4 + 7$$
$$\mathbf{32748} := C(32) - 7 \times 4 + 8$$
$$\mathbf{32749} := C(32) - 7 \times 4 + 9$$

$$\mathbf{32840} := C(32) + 8 + C(4) + 0$$
$$\mathbf{32841} := C(32) + 8 + C(4) + 1$$
$$\mathbf{32842} := C(32) + 8 + C(4) + 2$$
$$\mathbf{32843} := C(32) + 8 + C(4) + 3$$
$$\mathbf{32844} := C(32) + 8 + C(4) + 4$$
$$\mathbf{32845} := C(32) + 8 + C(4) + 5$$
$$\mathbf{32846} := C(32) + 8 + C(4) + 6$$
$$\mathbf{32847} := C(32) + 8 + C(4) + 7$$
$$\mathbf{32848} := C(32) + 8 + C(4) + 8$$
$$\mathbf{32849} := C(32) + 8 + C(4) + 9$$

$$\mathbf{33280} := C(C(3) + 3 + 2) + C(8) + 0$$
$$\mathbf{33281} := C(C(3) + 3 + 2) + C(8) + 1$$
$$\mathbf{33282} := C(C(3) + 3 + 2) + C(8) + 2$$
$$\mathbf{33283} := C(C(3) + 3 + 2) + C(8) + 3$$
$$\mathbf{33284} := C(C(3) + 3 + 2) + C(8) + 4$$
$$\mathbf{33285} := C(C(3) + 3 + 2) + C(8) + 5$$
$$\mathbf{33286} := C(C(3) + 3 + 2) + C(8) + 6$$
$$\mathbf{33287} := C(C(3) + 3 + 2) + C(8) + 7$$
$$\mathbf{33288} := C(C(3) + 3 + 2) + C(8) + 8$$
$$\mathbf{33289} := C(C(3) + 3 + 2) + C(8) + 9$$

$$\mathbf{33750} := C(3) \times (3+7) \times C(5) + 0$$
$$\mathbf{33751} := C(3) \times (3+7) \times C(5) + 1$$
$$\mathbf{33752} := C(3) \times (3+7) \times C(5) + 2$$
$$\mathbf{33753} := C(3) \times (3+7) \times C(5) + 3$$
$$\mathbf{33754} := C(3) \times (3+7) \times C(5) + 4$$
$$\mathbf{33755} := C(3) \times (3+7) \times C(5) + 5$$
$$\mathbf{33756} := C(3) \times (3+7) \times C(5) + 6$$
$$\mathbf{33757} := C(3) \times (3+7) \times C(5) + 7$$
$$\mathbf{33758} := C(3) \times (3+7) \times C(5) + 8$$
$$\mathbf{33759} := C(3) \times (3+7) \times C(5) + 9$$

$$\mathbf{34240} := (3 + C(4)) \times C(C(2)) - C(4) + 0$$
$$\mathbf{34241} := (3 + C(4)) \times C(C(2)) - C(4) + 1$$
$$\mathbf{34242} := (3 + C(4)) \times C(C(2)) - C(4) + 2$$
$$\mathbf{34243} := (3 + C(4)) \times C(C(2)) - C(4) + 3$$
$$\mathbf{34244} := (3 + C(4)) \times C(C(2)) - C(4) + 4$$
$$\mathbf{34245} := (3 + C(4)) \times C(C(2)) - C(4) + 5$$
$$\mathbf{34246} := (3 + C(4)) \times C(C(2)) - C(4) + 6$$
$$\mathbf{34247} := (3 + C(4)) \times C(C(2)) - C(4) + 7$$
$$\mathbf{34248} := (3 + C(4)) \times C(C(2)) - C(4) + 8$$
$$\mathbf{34249} := (3 + C(4)) \times C(C(2)) - C(4) + 9$$

$$\mathbf{38800} := (-C(3) + C(8)) \times 80 + 0$$
$$\mathbf{38801} := (-C(3) + C(8)) \times 80 + 1$$
$$\mathbf{38802} := (-C(3) + C(8)) \times 80 + 2$$
$$\mathbf{38803} := (-C(3) + C(8)) \times 80 + 3$$
$$\mathbf{38804} := (-C(3) + C(8)) \times 80 + 4$$
$$\mathbf{38805} := (-C(3) + C(8)) \times 80 + 5$$
$$\mathbf{38806} := (-C(3) + C(8)) \times 80 + 6$$
$$\mathbf{38807} := (-C(3) + C(8)) \times 80 + 7$$
$$\mathbf{38808} := (-C(3) + C(8)) \times 80 + 8$$

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$$\mathbf{38809} := (-C(3) + C(8)) \times 80 + 9$$

$$\mathbf{39280} := (-3 + C(9 + C(2))) \times 8 + 0$$
$$\mathbf{39281} := (-3 + C(9 + C(2))) \times 8 + 1$$
$$\mathbf{39282} := (-3 + C(9 + C(2))) \times 8 + 2$$
$$\mathbf{39283} := (-3 + C(9 + C(2))) \times 8 + 3$$
$$\mathbf{39284} := (-3 + C(9 + C(2))) \times 8 + 4$$
$$\mathbf{39285} := (-3 + C(9 + C(2))) \times 8 + 5$$
$$\mathbf{39286} := (-3 + C(9 + C(2))) \times 8 + 6$$
$$\mathbf{39287} := (-3 + C(9 + C(2))) \times 8 + 7$$
$$\mathbf{39288} := (-3 + C(9 + C(2))) \times 8 + 8$$
$$\mathbf{39289} := (-3 + C(9 + C(2))) \times 8 + 9$$

$$\mathbf{39340} := C(3) + 9 + C(34) + 0$$
$$\mathbf{39341} := C(3) + 9 + C(34) + 1$$
$$\mathbf{39342} := C(3) + 9 + C(34) + 2$$
$$\mathbf{39343} := C(3) + 9 + C(34) + 3$$
$$\mathbf{39344} := C(3) + 9 + C(34) + 4$$
$$\mathbf{39345} := C(3) + 9 + C(34) + 5$$
$$\mathbf{39346} := C(3) + 9 + C(34) + 6$$
$$\mathbf{39347} := C(3) + 9 + C(34) + 7$$
$$\mathbf{39348} := C(3) + 9 + C(34) + 8$$
$$\mathbf{39349} := C(3) + 9 + C(34) + 9$$

$$\mathbf{39430} := 3^9 + C(4) + C(C(3)) + 0$$
$$\mathbf{39431} := 3^9 + C(4) + C(C(3)) + 1$$
$$\mathbf{39432} := 3^9 + C(4) + C(C(3)) + 2$$
$$\mathbf{39433} := 3^9 + C(4) + C(C(3)) + 3$$
$$\mathbf{39434} := 3^9 + C(4) + C(C(3)) + 4$$
$$\mathbf{39435} := 3^9 + C(4) + C(C(3)) + 5$$
$$\mathbf{39436} := 3^9 + C(4) + C(C(3)) + 6$$
$$\mathbf{39437} := 3^9 + C(4) + C(C(3)) + 7$$
$$\mathbf{39438} := 3^9 + C(4) + C(C(3)) + 8$$
$$\mathbf{39439} := 3^9 + C(4) + C(C(3)) + 9$$

$$\mathbf{39630} := C(39) - 6 - C(C(3)) + 0$$
$$\mathbf{39631} := C(39) - 6 - C(C(3)) + 1$$
$$\mathbf{39632} := C(39) - 6 - C(C(3)) + 2$$
$$\mathbf{39633} := C(39) - 6 - C(C(3)) + 3$$
$$\mathbf{39634} := C(39) - 6 - C(C(3)) + 4$$
$$\mathbf{39635} := C(39) - 6 - C(C(3)) + 5$$
$$\mathbf{39636} := C(39) - 6 - C(C(3)) + 6$$
$$\mathbf{39637} := C(39) - 6 - C(C(3)) + 7$$
$$\mathbf{39638} := C(39) - 6 - C(C(3)) + 8$$
$$\mathbf{39639} := C(39) - 6 - C(C(3)) + 9$$

$$\mathbf{42750} := C(42 - 7) - C(5) + 0$$
$$\mathbf{42751} := C(42 - 7) - C(5) + 1$$
$$\mathbf{42752} := C(42 - 7) - C(5) + 2$$
$$\mathbf{42753} := C(42 - 7) - C(5) + 3$$
$$\mathbf{42754} := C(42 - 7) - C(5) + 4$$
$$\mathbf{42755} := C(42 - 7) - C(5) + 5$$
$$\mathbf{42756} := C(42 - 7) - C(5) + 6$$
$$\mathbf{42757} := C(42 - 7) - C(5) + 7$$
$$\mathbf{42758} := C(42 - 7) - C(5) + 8$$
$$\mathbf{42759} := C(42 - 7) - C(5) + 9$$

$$\mathbf{43750} := (4 + 3 + C(7)) \times C(5) + 0$$
$$\mathbf{43751} := (4 + 3 + C(7)) \times C(5) + 1$$
$$\mathbf{43752} := (4 + 3 + C(7)) \times C(5) + 2$$
$$\mathbf{43753} := (4 + 3 + C(7)) \times C(5) + 3$$
$$\mathbf{43754} := (4 + 3 + C(7)) \times C(5) + 4$$
$$\mathbf{43755} := (4 + 3 + C(7)) \times C(5) + 5$$
$$\mathbf{43756} := (4 + 3 + C(7)) \times C(5) + 6$$
$$\mathbf{43757} := (4 + 3 + C(7)) \times C(5) + 7$$
$$\mathbf{43758} := (4 + 3 + C(7)) \times C(5) + 8$$
$$\mathbf{43759} := (4 + 3 + C(7)) \times C(5) + 9$$

$$\mathbf{46640} := (-4 + C(6)) \times (C(6) + 4) + 0$$
$$\mathbf{46641} := (-4 + C(6)) \times (C(6) + 4) + 1$$
$$\mathbf{46642} := (-4 + C(6)) \times (C(6) + 4) + 2$$
$$\mathbf{46643} := (-4 + C(6)) \times (C(6) + 4) + 3$$
$$\mathbf{46644} := (-4 + C(6)) \times (C(6) + 4) + 4$$
$$\mathbf{46645} := (-4 + C(6)) \times (C(6) + 4) + 5$$
$$\mathbf{46646} := (-4 + C(6)) \times (C(6) + 4) + 6$$
$$\mathbf{46647} := (-4 + C(6)) \times (C(6) + 4) + 7$$
$$\mathbf{46648} := (-4 + C(6)) \times (C(6) + 4) + 8$$
$$\mathbf{46649} := (-4 + C(6)) \times (C(6) + 4) + 9$$

$$\mathbf{47520} := -4 + (C(7) - C(5))^2 + 0$$
$$\mathbf{47521} := -4 + (C(7) - C(5))^2 + 1$$

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$$\mathbf{47522} := -4 + (C(7) - C(5))^2 + 2$$
$$\mathbf{47523} := -4 + (C(7) - C(5))^2 + 3$$
$$\mathbf{47524} := -4 + (C(7) - C(5))^2 + 4$$
$$\mathbf{47525} := -4 + (C(7) - C(5))^2 + 5$$
$$\mathbf{47526} := -4 + (C(7) - C(5))^2 + 6$$
$$\mathbf{47527} := -4 + (C(7) - C(5))^2 + 7$$
$$\mathbf{47528} := -4 + (C(7) - C(5))^2 + 8$$
$$\mathbf{47529} := -4 + (C(7) - C(5))^2 + 9$$

$$\mathbf{49750} := (C(4) - 9 + C(7)) \times C(5) + 0$$
$$\mathbf{49751} := (C(4) - 9 + C(7)) \times C(5) + 1$$
$$\mathbf{49752} := (C(4) - 9 + C(7)) \times C(5) + 2$$
$$\mathbf{49753} := (C(4) - 9 + C(7)) \times C(5) + 3$$
$$\mathbf{49754} := (C(4) - 9 + C(7)) \times C(5) + 4$$
$$\mathbf{49755} := (C(4) - 9 + C(7)) \times C(5) + 5$$
$$\mathbf{49756} := (C(4) - 9 + C(7)) \times C(5) + 6$$
$$\mathbf{49757} := (C(4) - 9 + C(7)) \times C(5) + 7$$
$$\mathbf{49758} := (C(4) - 9 + C(7)) \times C(5) + 8$$
$$\mathbf{49759} := (C(4) - 9 + C(7)) \times C(5) + 9$$

$$\mathbf{53250} := (C(-5 + C(3)) + 2) \times 5 + 0$$
$$\mathbf{53251} := (C(-5 + C(3)) + 2) \times 5 + 1$$
$$\mathbf{53252} := (C(-5 + C(3)) + 2) \times 5 + 2$$
$$\mathbf{53253} := (C(-5 + C(3)) + 2) \times 5 + 3$$
$$\mathbf{53254} := (C(-5 + C(3)) + 2) \times 5 + 4$$
$$\mathbf{53255} := (C(-5 + C(3)) + 2) \times 5 + 5$$
$$\mathbf{53256} := (C(-5 + C(3)) + 2) \times 5 + 6$$
$$\mathbf{53257} := (C(-5 + C(3)) + 2) \times 5 + 7$$
$$\mathbf{53258} := (C(-5 + C(3)) + 2) \times 5 + 8$$
$$\mathbf{53259} := (C(-5 + C(3)) + 2) \times 5 + 9$$

$$\mathbf{57230} := (C(5) - 7) \times (C(C(2)) - C(3)) + 0$$
$$\mathbf{57231} := (C(5) - 7) \times (C(C(2)) - C(3)) + 1$$
$$\mathbf{57232} := (C(5) - 7) \times (C(C(2)) - C(3)) + 2$$
$$\mathbf{57233} := (C(5) - 7) \times (C(C(2)) - C(3)) + 3$$
$$\mathbf{57234} := (C(5) - 7) \times (C(C(2)) - C(3)) + 4$$
$$\mathbf{57235} := (C(5) - 7) \times (C(C(2)) - C(3)) + 5$$
$$\mathbf{57236} := (C(5) - 7) \times (C(C(2)) - C(3)) + 6$$
$$\mathbf{57237} := (C(5) - 7) \times (C(C(2)) - C(3)) + 7$$
$$\mathbf{57238} := (C(5) - 7) \times (C(C(2)) - C(3)) + 8$$
$$\mathbf{57239} := (C(5) - 7) \times (C(C(2)) - C(3)) + 9$$

$$\mathbf{62250} := (-6 - C(2) + C(C(2))) \times C(5) + 0$$
$$\mathbf{62251} := (-6 - C(2) + C(C(2))) \times C(5) + 1$$
$$\mathbf{62252} := (-6 - C(2) + C(C(2))) \times C(5) + 2$$
$$\mathbf{62253} := (-6 - C(2) + C(C(2))) \times C(5) + 3$$
$$\mathbf{62254} := (-6 - C(2) + C(C(2))) \times C(5) + 4$$
$$\mathbf{62255} := (-6 - C(2) + C(C(2))) \times C(5) + 5$$
$$\mathbf{62256} := (-6 - C(2) + C(C(2))) \times C(5) + 6$$
$$\mathbf{62257} := (-6 - C(2) + C(C(2))) \times C(5) + 7$$
$$\mathbf{62258} := (-6 - C(2) + C(C(2))) \times C(5) + 8$$
$$\mathbf{62259} := (-6 - C(2) + C(C(2))) \times C(5) + 9$$

$$\mathbf{64250} := (6 - 4 + C(C(2))) \times C(5) + 0$$
$$\mathbf{64251} := (6 - 4 + C(C(2))) \times C(5) + 1$$
$$\mathbf{64252} := (6 - 4 + C(C(2))) \times C(5) + 2$$
$$\mathbf{64253} := (6 - 4 + C(C(2))) \times C(5) + 3$$
$$\mathbf{64254} := (6 - 4 + C(C(2))) \times C(5) + 4$$
$$\mathbf{64255} := (6 - 4 + C(C(2))) \times C(5) + 5$$
$$\mathbf{64256} := (6 - 4 + C(C(2))) \times C(5) + 6$$
$$\mathbf{64257} := (6 - 4 + C(C(2))) \times C(5) + 7$$
$$\mathbf{64258} := (6 - 4 + C(C(2))) \times C(5) + 8$$
$$\mathbf{64259} := (6 - 4 + C(C(2))) \times C(5) + 9$$

$$\mathbf{65320} := -C(6) + (C(5) + 3) \times C(C(2)) + 0$$
$$\mathbf{65321} := -C(6) + (C(5) + 3) \times C(C(2)) + 1$$
$$\mathbf{65322} := -C(6) + (C(5) + 3) \times C(C(2)) + 2$$
$$\mathbf{65323} := -C(6) + (C(5) + 3) \times C(C(2)) + 3$$
$$\mathbf{65324} := -C(6) + (C(5) + 3) \times C(C(2)) + 4$$
$$\mathbf{65325} := -C(6) + (C(5) + 3) \times C(C(2)) + 5$$
$$\mathbf{65326} := -C(6) + (C(5) + 3) \times C(C(2)) + 6$$
$$\mathbf{65327} := -C(6) + (C(5) + 3) \times C(C(2)) + 7$$
$$\mathbf{65328} := -C(6) + (C(5) + 3) \times C(C(2)) + 8$$
$$\mathbf{65329} := -C(6) + (C(5) + 3) \times C(C(2)) + 9$$

$$\mathbf{72360} := (C(7) - 2^3) \times C(6) + 0$$
$$\mathbf{72361} := (C(7) - 2^3) \times C(6) + 1$$
$$\mathbf{72362} := (C(7) - 2^3) \times C(6) + 2$$
$$\mathbf{72363} := (C(7) - 2^3) \times C(6) + 3$$
$$\mathbf{72364} := (C(7) - 2^3) \times C(6) + 4$$
$$\mathbf{72365} := (C(7) - 2^3) \times C(6) + 5$$

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$$\mathbf{72366} := (C(7) - 2^3) \times C(6) + 6$$
$$\mathbf{72367} := (C(7) - 2^3) \times C(6) + 7$$
$$\mathbf{72368} := (C(7) - 2^3) \times C(6) + 8$$
$$\mathbf{72369} := (C(7) - 2^3) \times C(6) + 9$$

$$\mathbf{75680} := (C(7) + 5) \times C(6) + C(8) + 0$$
$$\mathbf{75681} := (C(7) + 5) \times C(6) + C(8) + 1$$
$$\mathbf{75682} := (C(7) + 5) \times C(6) + C(8) + 2$$
$$\mathbf{75683} := (C(7) + 5) \times C(6) + C(8) + 3$$
$$\mathbf{75684} := (C(7) + 5) \times C(6) + C(8) + 4$$
$$\mathbf{75685} := (C(7) + 5) \times C(6) + C(8) + 5$$
$$\mathbf{75686} := (C(7) + 5) \times C(6) + C(8) + 6$$
$$\mathbf{75687} := (C(7) + 5) \times C(6) + C(8) + 7$$
$$\mathbf{75688} := (C(7) + 5) \times C(6) + C(8) + 8$$
$$\mathbf{75689} := (C(7) + 5) \times C(6) + C(8) + 9$$

$$\mathbf{87880} := (C(8) - C(7)) \times (8 + C(8)) + 0$$
$$\mathbf{87881} := (C(8) - C(7)) \times (8 + C(8)) + 1$$
$$\mathbf{87882} := (C(8) - C(7)) \times (8 + C(8)) + 2$$
$$\mathbf{87883} := (C(8) - C(7)) \times (8 + C(8)) + 3$$
$$\mathbf{87884} := (C(8) - C(7)) \times (8 + C(8)) + 4$$
$$\mathbf{87885} := (C(8) - C(7)) \times (8 + C(8)) + 5$$
$$\mathbf{87886} := (C(8) - C(7)) \times (8 + C(8)) + 6$$
$$\mathbf{87887} := (C(8) - C(7)) \times (8 + C(8)) + 7$$
$$\mathbf{87888} := (C(8) - C(7)) \times (8 + C(8)) + 8$$
$$\mathbf{87889} := (C(8) - C(7)) \times (8 + C(8)) + 9$$

$$\mathbf{91250} := (C(9) + 1^2) \times C(5) + 0$$
$$\mathbf{91251} := (C(9) + 1^2) \times C(5) + 1$$
$$\mathbf{91252} := (C(9) + 1^2) \times C(5) + 2$$
$$\mathbf{91253} := (C(9) + 1^2) \times C(5) + 3$$
$$\mathbf{91254} := (C(9) + 1^2) \times C(5) + 4$$
$$\mathbf{91255} := (C(9) + 1^2) \times C(5) + 5$$
$$\mathbf{91256} := (C(9) + 1^2) \times C(5) + 6$$
$$\mathbf{91257} := (C(9) + 1^2) \times C(5) + 7$$
$$\mathbf{91258} := (C(9) + 1^2) \times C(5) + 8$$
$$\mathbf{91259} := (C(9) + 1^2) \times C(5) + 9$$

$$\mathbf{93750} := (C(9) + 3 \times 7) \times C(5) + 0$$
$$\mathbf{93751} := (C(9) + 3 \times 7) \times C(5) + 1$$
$$\mathbf{93752} := (C(9) + 3 \times 7) \times C(5) + 2$$
$$\mathbf{93753} := (C(9) + 3 \times 7) \times C(5) + 3$$
$$\mathbf{93754} := (C(9) + 3 \times 7) \times C(5) + 4$$
$$\mathbf{93755} := (C(9) + 3 \times 7) \times C(5) + 5$$
$$\mathbf{93756} := (C(9) + 3 \times 7) \times C(5) + 6$$
$$\mathbf{93757} := (C(9) + 3 \times 7) \times C(5) + 7$$
$$\mathbf{93758} := (C(9) + 3 \times 7) \times C(5) + 8$$
$$\mathbf{93759} := (C(9) + 3 \times 7) \times C(5) + 9$$

$$\mathbf{95320} := 9 \times C(-5 + C(3)) - C(C(2)) + 0$$
$$\mathbf{95321} := 9 \times C(-5 + C(3)) - C(C(2)) + 1$$
$$\mathbf{95322} := 9 \times C(-5 + C(3)) - C(C(2)) + 2$$
$$\mathbf{95323} := 9 \times C(-5 + C(3)) - C(C(2)) + 3$$
$$\mathbf{95324} := 9 \times C(-5 + C(3)) - C(C(2)) + 4$$
$$\mathbf{95325} := 9 \times C(-5 + C(3)) - C(C(2)) + 5$$
$$\mathbf{95326} := 9 \times C(-5 + C(3)) - C(C(2)) + 6$$
$$\mathbf{95327} := 9 \times C(-5 + C(3)) - C(C(2)) + 7$$
$$\mathbf{95328} := 9 \times C(-5 + C(3)) - C(C(2)) + 8$$
$$\mathbf{95329} := 9 \times C(-5 + C(3)) - C(C(2)) + 9$$

$$\mathbf{97250} := (C(9) + 7^2) \times C(5) + 0$$
$$\mathbf{97251} := (C(9) + 7^2) \times C(5) + 1$$
$$\mathbf{97252} := (C(9) + 7^2) \times C(5) + 2$$
$$\mathbf{97253} := (C(9) + 7^2) \times C(5) + 3$$
$$\mathbf{97254} := (C(9) + 7^2) \times C(5) + 4$$
$$\mathbf{97255} := (C(9) + 7^2) \times C(5) + 5$$
$$\mathbf{97256} := (C(9) + 7^2) \times C(5) + 6$$
$$\mathbf{97257} := (C(9) + 7^2) \times C(5) + 7$$
$$\mathbf{97258} := (C(9) + 7^2) \times C(5) + 8$$
$$\mathbf{97259} := (C(9) + 7^2) \times C(5) + 9$$

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2.2 General Representations

This section brings **selfie numbers** written in terms of **cubic function** given in (4) in **digit's order**. The whole work is up to 5-digits. The numbers given below contains lot of extra brackets "()". These can be removed easily after simplifications.

$125 := C(1^2 \times 5)$
$135 := 1 \times C(3) \times 5$
$153 := 1 + C(5) + C(3)$
$163 := 1 + 6 \times C(3)$
$172 := (1 + C(7))/2$
$216 := C((2-1) \times 6)$
$224 := C(2) + C(2+4)$
$226 := C(2) + 2 + C(6)$
$232 := (2 + C(3)) \times C(2)$
$235 := -C(2) + 3^5$
$243 := C(2+4) + C(3)$
$283 := 2^8 + C(3)$
$296 := 2^9 - C(6)$
$316 := -((C(3) - C((1+6))))$
$317 := -(((C(3) - 1) - C(7)))$
$324 := (C(3) \times (C(2) + (4)))$
$337 := (-((3+3)) + C(7))$
$384 := ((3 \times C(8))/4)$
$407 := (C(4) + C(07))$
$448 := -((C(4) - (C(4) \times 8)))$
$512 := C(((5-1) \times 2))$
$517 := (5 + C((1+7)))$
$518 := ((5+1) + C(8))$
$522 := ((5 \times 2) + C(C(2)))$
$549 := ((C(5) - C(4)) \times 9)$
$568 := ((5 \times C(6)) - C(8))$
$585 := ((C(5) - 8) \times 5)$
$597 := -(((C(5) - C(9)) + (7)))$
$639 := ((C(6) \times 3) - 9)$
$655 := ((6 + C(5)) \times 5)$
$729 := ((-(7) + C(2)) \times C(9))$
$739 := ((7+3) + C(9))$
$809 := (80 + C(9))$
$991 := (-(9) + C((9+1)))$

$1115 := (C(11) - C((1+5)))$
$1116 := ((1 + C(11)) - C(6))$
$1125 := ((11-2) \times C(5))$
$1216 := (C(((1 + C(2)) + 1)) + C(6))$
$1229 := ((-(12) + C(C(2))) + (C(9)))$
$1238 := (C((1 + C(2))) - (3 - C(8)))$
$1239 := ((1 + C(C(2))) - (3 - C(9)))$
$1255 := ((1 - (-(2) \times C(5))) \times 5)$
$1296 := (-(((1+2) - 9)) \times C(6))$
$1322 := ((-(1) + C((3 + C(2)))) - C(2))$
$1323 := -((C(-((1-3))) - C((C(2)+3))))$
$1325 := ((-(1) + C((3 + C(2)))) - (5))$
$1326 := ((1 + C((3 + C(2)))) - (6))$
$1329 := ((1-3) + C((2+9)))$
$1331 := C(((13-3)+1))$
$1332 := (1 + C(((3 \times 3) + 2)))$
$1350 := ((-(1) \times C(3)) \times (-50))$
$1352 := ((1 - C(3)) \times (-52))$
$1359 := (((-(1) + C(3)) + C(5)) \times 9)$
$1371 := (((1+3) \times C(7)) - 1)$
$1372 := ((1 + C(3)) \times (7^2))$
$1374 := (-((1-3)) - (C(7) \times (-4)))$
$1375 := (((1+3)+7) \times C(5))$
$1387 := -((C(13) + (C(8) \times (-7))))$
$1394 := ((-((1-3)) \times C(9)) - C(4))$
$1456 := (C((1+4)) + C((5+6)))$
$1459 := ((1 + C((4+5))) + C(9))$
$1512 := ((-(1) - C(5)) \times (-12))$
$1532 := ((1-5) + (3 \times C(C(2))))$
$1533 := ((1 - C((5+3))) \times (-3))$
$1547 := (C((1+5)) + C((4+7)))$
$1576 := (C(-((1-5))) - (-(7) \times C(6)))$
$1593 := ((1 \times 59) \times C(3))$
$1625 := ((1 + (6 \times 2)) \times C(5))$
$1657 := ((16 \times C(5)) - C(7))$
$1664 := (C(((1 \times 6) + 6)) - C(4))$
$1672 := ((C((1 \times 6)) - (7)) \times C(2))$

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1674 := $(C((1+6))+C((7+4)))$
1714 := $(-(1)+(C(7)\times(1+4)))$
1715 := $((-(1)\times C(7))\times(-(1\times 5)))$
1716 := $(1+(C(7)\times(-(1-6))))$
1724 := $(C(-(((1-7)\times 2)))-(4))$
1725 := $(((-(1)\times C(7))-2)\times(-5))$
1727 := $(-(1)+C(((7-2)+7)))$
1728 := $C((((1+7)/2)+8))$
1729 := $(C(((1+7)+2))+C(9))$
1734 := $(-((1-7))+C((3\times 4)))$
1735 := $(((-(1)-C(7))-3)\times(-5))$
1752 := $(((1+C(7))-C(5))\times C(2))$
1875 := $(((1\times 8)+7)\times C(5))$
1926 := $((1\times 9)\times(-(2)+C(6)))$
1962 := $((1\times 9)\times(C(6)+2))$
2044 := $((C(C(2))\times 04)-(4))$
2048 := $(((2\times 0)+4)\times C(8))$
2125 := $(((C(2)+1)+C(2))\times C(5))$
2169 := $((2+1)\times(-(6)+C(9)))$
2176 := $(-(21)+C((7+6)))$
2193 := $((2+C((1\times 9)))\times 3)$
2194 := $(-((2+1))+C((9+4)))$
2195 := $(-(2)+C(-(((1-9)-5))))$
2197 := $C(((2\times(1+9))-7))$
2205 := $(C(2)+C((C(2)-(0-5))))$
2213 := $((C(2)+C(2))+C(13))$
2232 := $(C((C(2)+(2\times 3)))-C(C(2)))$
2257 := $(((C(2)+C(C(2)))\times 5)-C(7))$
2259 := $(((2^{C(2)})-(5))\times 9)$
2296 := $(C(2)\times(C(C(2))+(-(9)-C(6))))$
2297 := $(((2^{C(2)})\times 9)-(7))$
2368 := $((C((2^3))-C(6))\times 8)$
2375 := $(-((2-(3\times 7)))\times C(5))$
2377 := $((C(2)\times(-3))+(C(7)\times 7))$
2385 := $(((C(2)+C(3))-C(8))\times(-5))$
2413 := $(C((2+4))+C(13))$
2432 := $((2\times C(4))\times(C(3)-C(2)))$
2435 := $((-(C(2))-C((-(4)+C(3))))/(-5))$
2455 := $(((C(C(2))+(4))\times 5)-(C(5)))$
2456 := $(C(C(2))-(-((4+5))\times C(6)))$
2464 := $(-(2)\times(C(4)-(6^4)))$
2495 := $((C(C(2))-(4+9))\times 5)$
2522 := $(2-(-(5)\times(C(C(2))-C(2))))$
2525 := $((C(C(2))-(5+2))\times 5)$
2527 := $(((C(2)+C(5))^2)/7)$
2528 := $(C(2)-(5\times(C(2)-C(8))))$
2530 := $((C(C(2))\times 5)-(30))$
2533 := $((C(C(2))\times 5)-(3^3))$
2534 := $((C(C(2))-C((-(5)+C(3))))/(-4))$
2537 := $(C((C(2)+(5)))-(3-C(7)))$
2542 := $(2+(-(5)\times(4-C(C(2)))))$
2544 := $((C(C(2))\times 5)-(4\times 4))$
2547 := $(C(C(2))-(-(5)\times(C(4)+C(7))))$
2548 := $(C(2)-(-(5)\times(-(4)+C(8))))$
2555 := $((C(C(2))-(5/5))\times 5)$
2560 := $(C(C(2))\times(5+(6\times 0)))$
2562 := $(2+(5\times C((6+2))))$
2563 := $((C(C(2))\times 5)+(6-3))$
2565 := $((C(C(2))-((5-6)))\times 5)$
2568 := $((C(C(2))\times 5)+C(-((6-8))))$
2583 := $(C(2)+(5\times(C(8)+3)))$
2584 := $-((C(2)\times((C(5)-C(8))+C(4))))$
2585 := $(25-(C(8)\times(-5)))$
2587 := $-((C(2)-(5\times(C(8)+(7)))))$
2624 := $(((C(C(2))\times 6)-C(C(2)))+C(4))$
2654 := $(2\times(C((6+5))-(4)))$
2655 := $(((C(C(2))-(6))\times 5)+(C(5)))$
2656 := $((2\times C((6+5)))-(6))$
2672 := $(C((C(2)+(6)))-72)$
2674 := $(2\times(6+C((7+4))))$
2676 := $(2\times((C(6)+(7))\times 6))$
2685 := $((C(C(2))\times 6)-((C(8)-C(5))))$
2693 := $(C(C(2))-(6-(C(9)\times 3)))$
2695 := $((C(C(2))+C(-((6-9))))\times 5)$
2699 := $(C(C(2))+(-((6-9))\times C(9)))$
2722 := $(C((2\times 7))-(22))$
2724 := $(((-(2)+C(7))\times C(2))-(4))$
2728 := $(C((2\times 7))-((2\times 8)))$
2736 := $(-(C(2))+C(((-(7)+C(3))-(6))))$
2752 := $(C(2)+C(((7+5)+2)))$

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$2759 := ((C(2)+(7))+C((5+9)))$
$2773 := ((2+C((7+7)))+C(3))$
$2856 := (C(C(2))+((C(8)\times 5)-C(6)))$
$2872 := (((2\times 8)+C(7))\times C(2))$
$2875 := (((2\times 8)+7)\times C(5))$
$2912 := (C(2)\times((C(9)-1)/2))$
$2914 := (2-((C(9)-1)\times(-4)))$
$2924 := (2\times((C(9)\times 2)+(4)))$
$2944 := ((-((2\times 9))+C(4))\times C(4))$
$2948 := ((C(2)+C(9))\times(-(4-8)))$
$2968 := (C(C(2))+((9\times C(6))+C(8)))$
$2969 := (C((C(2)+9))-(C(6)\times 9))$
$2976 := ((C(C(2))-(9+7))\times 6)$
$3105 := (C(3)\times(-(10)+C(5)))$
$3156 := ((-(3)+C(15))-C(6))$
$3157 := (((C(3)+1)\times C(5))-C(7))$
$3159 := (C(3)\times((1+C(5))-9))$
$3259 := ((3+C(C(2)))+C((5+9)))$
$3264 := ((3+(C(2)\times 6))\times C(4))$
$3276 := ((C(3)-C(27))/(-6))$
$3289 := (((3+2)\times C(8))+C(9))$
$3329 := ((C(C(3))-C((C(3)-2)))-(C(9)))$
$3348 := -((C(3)-C(((3+4)+8))))$
$3351 := (3+(C(3)\times(C(5)-1)))$
$3369 := (-((3+3))+C((6+9)))$
$3372 := (-(3)+C((3\times(7-2))))$
$3375 := C((((3^3)-7)-5))$
$3448 := ((C(3)\times(C(4)+C(4)))-8)$
$3472 := (((C(3)+C(4))+C(7))\times C(2))$
$3483 := (C(3)\times(4+C((8-3))))$
$3527 := ((C(3)+C(5))+C((C(2)+(7))))$
$3572 := ((C(3)\times(C(5)+(7)))+C(2))$
$3577 := ((C((3+5))\times 7)-(7))$
$3584 := ((3+5)\times(C(8)-C(4)))$
$3591 := (C(3)\times(C(5)+(9-1)))$
$3592 := ((C((3\times 5))+C(9))-C(C(2)))$
$3625 := (((C(3)-(6))+C(2))\times C(5))$
$3645 := (C((36/4))\times 5)$
$3648 := (3\times((C(6)-C(4))\times 8))$
$3715 := ((-(3)+C(7))+C(15))$
$3723 := ((3^7)+(C(C(2))\times 3))$
$3744 := ((C((3+7))-C(4))\times 4)$
$3848 := (((C(3)-C(8))+(4))\times(-8))$
$3875 := (((3\times 8)+7)\times C(5))$
$3925 := (C((3+9))+C((C(2)+(5))))$
$3942 := (C(3)\times((9+C(4))\times 2))$
$4123 := (C((4+12))+C(3))$
$4125 := ((41-C(2))\times C(5))$
$4128 := ((4+C(C((1\times 2))))\times 8)$
$4224 := ((C(4)\times 2)+C((2^4)))$
$4225 := ((4+C((C(2)+C(2))))+(C(5)))$
$4275 := ((C((4\times 2))+C(7))\times 5)$
$4285 := ((C(4)+C((2\times 8)))+C(5))$
$4329 := (((-(4)-C(3))+C(C(2)))\times 9)$
$4368 := ((C(4)+C(3))\times(6\times 8))$
$4392 := (((C(4)-3)\times 9)\times C(2))$
$4396 := (4+((-(3)-C(9))\times(-6)))$
$4416 := (C(4)\times(C(4)-(1-6)))$
$4522 := ((C(4)+C((5+C(2))))\times 2)$
$4536 := ((C((4+5))+C(3))\times 6)$
$4548 := (-(4)\times(-((5^4))-C(8)))$
$4575 := ((C(4)-C(5))\times(-75))$
$4589 := -((C(4)-((5+C(8))\times 9)))$
$4608 := ((4^6)+C(08))$
$4625 := ((C(4)-C((6/2)))\times C(5))$
$4657 := ((C((4+6))\times 5)-C(7))$
$4694 := -((C(4)+(-(6)\times(C(9)+C(4)))))$
$4697 := (((C(4)-(6))-C(9))\times(-7))$
$4829 := ((4+C((8\times 2)))+C(9))$
$4833 := (-(C((4+8)))-(C(C(3))/(-3)))$
$4849 := (-(C(4))+C((C((8/4))+9)))$
$4864 := ((4\times 8)\times(C(6)-C(4)))$
$4875 := (((4\times 8)+7)\times C(5))$
$4889 := ((C(4)+C((8+8)))+C(9))$
$4913 := C((((4+9)+1)+3))$
$4917 := (4+C(((9+1)+7)))$
$4948 := (4\times((C(9)-(4))+C(8)))$
$4964 := (-(4)\times(-(C(9))-C(C((6-4)))))$
$4967 := -((C(4)-(9\times(C(6)+C(7)))))$
$5125 := (C(5)\times(1+(C(2)\times 5)))$

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5129 := $(C((5+1))+C((C(2)+9)))$
5250 := $-((C(5)\times(C(2)-(50))))$
5322 := $((C((-(5)+C(3)))/2)-2)$
5324 := $(C((5+(3\times2)))\times4)$
5376 := $((C(5)+3)\times(7\times6))$
5445 := $((C(5)-(4))\times45)$
5488 := $((C(5)\times48)-C(8))$
5490 := $((C(5)-C(4))\times90)$
5621 := $((5+6)\times(C(C(2))-1))$
5626 := $(((5+6)\times C(C(2)))-(6))$
5642 := $-(((C(5)-C(6))\times(C(4)-2)))$
5762 := $((C(5)\times(7\times6))+C(C(2)))$
5819 := $(-(5)+(8\times(-(1)+C(9))))$
5824 := $-(((C(5)-C((8-2)))\times C(4)))$
5827 := $(-(5)+(8\times C((2+7))))$
5829 := $((5-8)+C((2\times9)))$
5832 := $C((((5+8)+3)+2))$
5837 := $(5+C(((8+3)+7)))$
5850 := $((C(5)-8)\times50)$
5875 := $(((5\times8)+7)\times C(5))$
5899 := $(-(5)+(8\times(9+C(9))))$
5945 := $(((C(5)\times9)+C(4))\times5)$
5957 := $(C(5)+C(-((9\times(5-7)))))$
5974 := $(((C(5)+C(9))\times7)-(4))$
5985 := $((5\times9)\times(8+C(5)))$
6125 := $(((6+1)^2)\times C(5))$
6264 := $((C(6)/(-2))\times(6-C(4)))$
6344 := $(C((6\times3))+C((4+4)))$
6348 := $((C((6\times3))+(4))+C(8))$
6399 := $((-((6\times3))+C(9))\times9)$
6433 := $(((6\times C(4))-C(C(3)))/(-3))$
6453 := $(((6^4)\times5)-C(3))$
6456 := $(-(6)\times(4+(-(5)\times C(6))))$
6550 := $((6+C(5))\times50)$
6633 := $((-(C(6))-C(C((6-3))))/(-3))$
6643 := $(-(C(6))+C(-((C((6-4))-C(3)))))$
6732 := $((C(6)-C(7))+C((C(3)-C(2))))$
6832 := $((C(6)/(-8))+C((C(3)-C(2))))$
6859 := $C(-((((6-8)\times5)-9)))$
6865 := $(6+C(((8+6)+5)))$
6875 := $(((6\times8)+7)\times C(5))$
6912 := $(C((C(6)/9))/(1\times2))$
6952 := $(-(C(6))+((9+5)\times C(C(2))))$
6966 := $(((C(6)+C(9))+C(6))\times6)$
7168 := $(C((7+1))\times(6+8))$
7182 := $(-(7)\times((1+C(8))\times(-2)))$
7196 := $((C(7)+C(19))-(6))$
7224 := $((7\times2)\times(C(C(2))+(4)))$
7372 := $(((-(7)+C(3))\times C(7))+C(C(2)))$
7488 := $(C(((7\times4)-8))-C(8))$
7538 := $((C(7)\times(-(5)+C(3)))-8)$
7546 := $(((-(7)+C(5))\times C(4))-(6))$
7875 := $(((7\times8)+7)\times C(5))$
7937 := $(-((7\times9))+C((C(3)-(7))))$
8125 := $(C((8+12))+C(5))$
8192 := $(C(8)\times(-((1-9)\times2)))$
8224 := $((C(8)+2)\times(2^4))$
8237 := $((C(8)\times(-2))+C((3\times7)))$
8375 := $((C(8)-(3^7))\times(-5))$
8376 := $((8\times3)\times(C(7)+(6)))$
8675 := $(((-(8)\times C(6))-(7))\times(-5))$
8875 := $(((8\times8)+7)\times C(5))$
9252 := $(-(9)+C(((C(2)+(5))+C(2))))$
9261 := $C((9+((2\times6)\times1)))$
9288 := $(9\times((2\times C(8))+8))$
9317 := $(C(((9+3)-1))\times7)$
9396 := $-((C(9)+(-(3)\times C((9+6)))))$
9425 := $((C(9)-(4))\times(C(2)+(5)))$
9477 := $-((C(9)\times(C(4)-77)))$
9549 := $(((9\times C(5))-C(4))\times9)$
9639 := $-((C(9)-(6\times C((3+9)))))$
9657 := $(9\times((C(6)\times5)-(7)))$
9773 := $(C(C((9-7)))+C((7\times3)))$
9822 := $((C((9+8))-2)\times2)$
9823 := $((C((9+8))\times2)-3)$
9826 := $(C((9+8))\times(C(2)-(6)))$
9832 := $((C((9+8))+3)\times2)$
9872 := $(((C(9)+C(8))-(7))\times C(2))$
9875 := $(((9\times8)+7)\times C(5))$
9928 := $(C((9+9))+C((2\times8)))$

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9945 $:= (C(9) + (9 \times (4^5)))$

10125 $:= (((10-1)^2) \times C(5))$
10220 $:= ((1 - C(C(02))) \times (-20))$
10245 $:= ((1 - (C(C(02)) \times (-4))) \times 5)$
10263 $:= ((C(10) + 2) + C((-(6) + C(3))))$
10448 $:= (((10^4) - C(4)) + C(8))$
10456 $:= ((10 \times (4^5)) + C(6))$
10512 $:= ((10^{5-1}) + C(C(2)))$
10522 $:= ((-(1) - C(05)) + C(22))$
10568 $:= ((10 - C((5+6))) \times (-8))$
10584 $:= ((-(1) - C(05)) \times (-84))$
10639 $:= (C(((1-06) + C(3))) - 9)$
10647 $:= (-(1) + C(((0-6) + (4 \times 7))))$
10648 $:= (C(((1+06) + 4)) \times 8)$
10653 $:= (-((1-06)) + C((-(5) + C(3))))$
10657 $:= ((C(10) \times (6+5)) - C(7))$
10658 $:= (10 + C(((6 \times 5) - 8)))$
10664 $:= -((C(10) - (((6^6)/4))))$
10728 $:= (((C(10) + C(7)) - 2) \times 8)$
10744 $:= ((C(10) + C(7)) \times (4+4))$
10875 $:= ((1 \times 087) \times C(5))$
10928 $:= (C(10) + ((-(C(9)) - C(C(2))) \times (-8)))$
10935 $:= ((-(1) \times C(09)) \times (-(3 \times 5)))$
11011 $:= ((1 + C(10)) \times 11)$
11125 $:= ((1 - (-(11) \times C(2))) \times C(5))$
11224 $:= (C(C((1+1))) + ((C(22) + C(4))))$
11253 $:= (-(11) - (C(C(2)) \times (5 - C(3))))$
11285 $:= ((C((11 \times 2)) + C(8)) + C(5))$
11348 $:= ((-(C(11)) + C((C(3) - (4)))) + C(8))$
11375 $:= (((1 \times 13) \times 7) \times C(5))$
11439 $:= ((1 + C((-((1 \times 4)) + C(3)))) - (C(9)))$
11479 $:= ((C(C((1+1))) - C(47))/(-9))$
11584 $:= (((C(11) + C(5)) \times 8) - C(4))$
11592 $:= ((-(1) - C((1 \times 5))) \times (-92))$
11637 $:= ((11 \times C(6)) + C((3 \times 7)))$
11648 $:= -(((C((1+1)) - C(6)) \times (C(4) - 8)))$
11663 $:= (-(1) - (-(16) \times C((6+3))))$
11683 $:= (-(C((((1+1) \times 6) + 8))) + C(C(3)))$
11718 $:= ((C(11) + C(7)) \times (-(1-8)))$
11773 $:= ((11 \times C(7)) + C((-(7) + C(3))))$
11791 $:= ((11 \times (C(7) + C(9))) - 1)$
11792 $:= (-((1-17)) \times (C(9) + C(2)))$

11823 $:= ((-(1) - C(-((1-8)))) + C(23))$
11875 $:= (((11 \times 8) + 7) \times C(5))$
11889 $:= (((C(11) \times 8) + C(8)) + C(9))$
11914 $:= (((C(11) \times 9) - 1) - C(4))$
11915 $:= ((C(11) \times 9) - C(-((1-5))))$
11952 $:= ((C(11) \times 9) - C((5-2)))$
11971 $:= ((C(11) \times 9) - (7+1))$
11978 $:= ((C(11) \times 9) + ((7-8)))$
11979 $:= (C((((1+1) \times 9) - 7)) \times 9)$
12097 $:= ((1 + C(20)) + C((9+7)))$
12123 $:= (((-(1) + C(2)) \times C(12)) + C(3))$
12124 $:= ((-(1) + C(2)) \times (C(12) + (4)))$
12125 $:= ((1 + (C(2) \times 12)) \times C(5))$
12158 $:= ((-(1) - C(2)) + C((15+8)))$
12159 $:= ((1 + C((C(2) + (15)))) - 9)$
12164 $:= (-((1+2)) + C(-((1 - (6 \times 4)))))$
12167 $:= C((((1^2) \times 16) + 7))$
12168 $:= (1 + C(((21-6) + 8)))$
12169 $:= ((1 \times 2) + C((-(1) + (C(6)/9))))$
12176 $:= ((1 + C(2)) + C((17+6)))$
12194 $:= (C((1+2)) + C((19+4)))$
12223 $:= (((-(1) + C(2)) \times C(2)) + C(23))$
12224 $:= (((1+2) \times C((C(2) + C(2)))) - C(4))$
12231 $:= (C((1+22)) + C((3+1)))$
12232 $:= ((-(1) - ((2 - C(C(2))) \times 3)) \times C(2))$
12234 $:= (((1+2) + C(23)) + C(4))$
12246 $:= ((1 - ((2 - C(C(2))) \times 4)) \times 6)$
12258 $:= (C((1+2)) \times (C(C(2)) - 58))$
12264 $:= (((1^2) - C(C(2))) \times (-(6 \times 4)))$
12282 $:= ((1+2) \times (-(2) + C((8 \times 2))))$
12283 $:= (1 + ((-(2) + C((2 \times 8))) \times 3))$
12284 $:= (((1+2) \times C((2 \times 8))) - (4))$
12285 $:= ((-(1) + C((C(2) + C(2)))) \times (8-5))$
12288 $:= (((1^2) + 2) \times C((8+8)))$
12289 $:= (1 + (C((C(2) \times (-(2-8))))/9))$
12295 $:= (((C(12) + 2) + C(9)) \times 5)$
12312 $:= ((1 + C(C(2))) \times (C(3) - (1+2)))$
12323 $:= (((1 + (C(C(2)) \times 3)) \times C(2)) + C(3))$
12328 $:= (((C((-(1) + C(2))) \times 3) + C(C(2))) \times 8)$
12339 $:= ((((-(1) + C(C(2))) - C(3)) \times C(3)) - (C(9)))$
12347 $:= (-(1) - (-((2+34)) \times C(7)))$
12348 $:= (C((-(1) + C(2))) \times (3 \times (4+8)))$

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12352 := $((((1+C(C(2)))\times 3)+(5))\times C(2))$
12364 := $((1+((C(C(2))+3)\times 6))\times 4)$
12365 := $(-(1)+((2\times C(C(3)))-(C((6\times 5)))))$
12368 := $(((-(1)+C((C(2)+3)))+C(6))\times 8)$
12372 := $(12\times((3\times C(7))+2))$
12376 := $((C((1\times 23))-(7))+C(6))$
12382 := $((-(1)+C(23))+C((8-2)))$
12383 := $(C((1\times 23))-(-(8)\times C(3)))$
12384 := $((1+23)\times(C(8)+(4)))$
12393 := $-(((C(12)-(3\times C(9)))\times C(3)))$
12426 := $(((1-C(2))+C(4))\times(2+C(6)))$
12473 := $(-(1)-(((2+C(4))\times(-7))\times C(3)))$
12474 := $((C(((1^2)+C(4)))-(7))-C(C(4)))$
12492 := $((-(1)+C(24))-C((9+2)))$
12529 := $((12+5)\times(C(2)+C(9)))$
12544 := $((((-(1)+C(2))+C(5))+C(4))\times C(4))$
12550 := $((1-(-(2)\times C(5)))\times 50)$
12625 := $(((1-C(2))-(C(6)/(-2)))\times C(5))$
12636 := $(C(((1+C(2))+(6)))+C((C(3)-(6))))$
12655 := $((1+((C(C(2))-(6))\times 5))\times 5)$
12703 := $(-(1)+((C(2)+C(70))/C(3)))$
12742 := $-(((C(C((1+2)))+C(7))-C((C(4)/2))))$
12743 := $(((C(12)+(7))\times(-4))+C(C(3)))$
12768 := $((1+(C(2)\times 7))\times(C(6)+8))$
12799 := $(-(1)-(C(C(2))\times(-((7+9)+9))))$
12823 := $((-(1)-C((2+8)))+C((C(2)\times 3)))$
12824 := $((-(1)\times C((2+8)))+C(24))$
12825 := $(((1^2)+C(8))\times 25)$
12832 := $((C(C((1+2)))+8)-C((C(3)-C(2))))$
12833 := $(((1+C(2))-C((-(8)+C(3))))+C(C(3)))$
12855 := $((1+((2+C(8))\times 5))\times 5)$
12864 := $(((1-(2\times 8))+C(6))\times C(4))$
12875 := $(((12\times 8)+7)\times C(5))$
12896 := $(C((1+C(2)))+(C(((8+9)+6))))$
12923 := $((C((1+2))+C(9))+C(23))$
12960 := $(((1+C(C(2)))-(C(9)))\times(-60))$
12994 := $((1\times 2)\times((9\times C(9))-C(4)))$
12997 := $(1-(-((2\times 9))\times(C(9)-(7))))$
13084 := $((-(1)-C(C(3)))-(0-C((8\times 4))))$
13085 := $((-(1)\times C(C(3)))+(08^5))$
13116 := $((C(13)-11)\times 6)$
13122 := $(((1\times 3)^{C(1\times 2)})\times 2)$
13123 := $((1-(3^{C(1\times 2)}))+C(C(3)))$
13157 := $(((1+3)\times C(15))-C(7))$
13167 := $((-(1)+C((3+1)))\times(C(6)-(7)))$
13168 := $(((C(13)-1)\times 6)-8)$
13176 := $((C(13)-(1^7))\times 6)$
13182 := $(C(13)\times((1\times 8)-2))$
13196 := $(C((-(1)+C(3)))+((-(1)-C(9))\times 6))$
13232 := $(1+(((3-C(C(2)))\times(-C(3)))-C(C(2))))$
13237 := $(((1+C(3))\times(C(C(2))-C(3)))-C(7))$
13244 := $((C((13+2))-C(4))\times 4)$
13248 := $(((-(1)+C((3\times 2)))\times C(4))-C(8))$
13249 := $((1+C((3\times C(2))))-(C(4)\times 9))$
13256 := $(((1+C(3))\times C(C(2)))+(-(5)\times C(6)))$
13266 := $(((C(13)+C(2))+(6))\times 6)$
13267 := $-((C((C((1+3))+2))-(C(67))))$
13273 := $(-(13)\times(C(2)-(C(7)\times 3)))$
13285 := $(((-(1)+C(3))\times C(C(2)))-C((8-5)))$
13310 := $(C((C(-((1-3)))+3))\times 10)$
13311 := $((-(1)+C((C(3)-3)))-C(C((1+1))))$
13312 := $((-(1)+C(3))\times C(((3+1)\times 2)))$
13313 := $((1+C((C(3)-3)))-C(C(-((1-3)))))$
13326 := $((C(13)+(3\times C(2)))\times 6)$
13338 := $((-(13)\times C(3))\times(-38))$
13339 := $-((C(C(-((1-3))))-((C(C(3))-C((C(3)-9))))))$
13356 := $-(((C((1+C(3)))-C(C(3)))-(5^6)))$
13357 := $((1+C((C(3)-3)))-((C(5)+C(7))))$
13375 := $((-(1)+(C(3)\times(-(3-7))))\times C(5))$
13376 := $(((1+3)^3)\times(-(7)+C(6)))$
13377 := $(-(((1-3)-37))\times C(7))$
13382 := $(((1-C(3))\times(-(3)-C(8)))-C(2))$
13385 := $(((1-C(3))\times(-(3)-C(8)))-(5))$
13416 := $(C((-(1)+C(3)))-(C(4)+C(16)))$
13427 := $(((-(1)-C(C(3)))+C((C(4)/2)))+C(7))$
13432 := $(-((C(13)-(4)))+C((C(3)-2)))$
13446 := $((C(13)+44)\times 6)$
13464 := $((1+C((C(3)-(4))))+(6^4))$
13466 := $((-(1)+C(3))-(C(4)\times(6-C(6))))$
13468 := $((-(1)-C(C(3)))-(C(4)\times(-(6)-C(8))))$
13472 := $((-(1)-C(3))-(-(4)\times C((7+C(2)))))$
13480 := $(C((-(1)+C(3)))-C(-((C(4)-(80)))))$
13481 := $(C(((1+C(3))-(4)))-C((8-1)))$
13484 := $(C((-(1)+C(3)))+((4-(8^4))))$

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$13487 := (-(13) + (4 \times C((8+7))))$
$13496 := (-((1+3)) + (4 \times C((9+6))))$
$13500 := ((-(1) \times C(3)) \times (-500))$
$13504 := ((-(1) - C((3 \times 5))) \times (0-4))$
$13520 := ((1 - C(3)) \times (-520))$
$13526 := (-(1) + (C(3) \times ((-(5) + C(C(2))) - (6))))$
$13529 := ((C(C(-((1-3)))) \times (5^2)) + (C(9)))$
$13532 := ((1+3) \times (C((5 \times 3)) + C(2)))$
$13536 := ((-(1) + (-(3) \times C(5))) \times (-36))$
$13590 := (((-(1) + C(3)) + C(5)) \times 90)$
$13625 := ((1 + (3 \times (6^2))) \times C(5))$
$13631 := (-(1) - ((3 - C(6)) \times C((3+1))))$
$13632 := (C(-((1-3))) \times ((C(6)-3) \times C(2)))$
$13634 := (-((1-3)) + ((C(6)-3) \times C(4)))$
$13636 := ((1 + C(3)) + (63 \times C(6)))$
$13662 := ((-(1) \times C(3)) \times (6 - C((6+2))))$
$13663 := (1 - (C(3) \times (6 - C(C((6/3))))))$
$13682 := ((-(1) + C(C(3))) + (-(6) \times C((8+2))))$
$13685 := ((-(1) + (C(3) \times 6)) \times 85)$
$13687 := (((C(13) \times 6) + C(8)) - (7))$
$13694 := (C(C(-((1-3)))) + (6 \times C((9+4))))$
$13695 := ((-((1+3)) + C((C(6)/9))) - (C(5)))$
$13715 := ((C(-(((1-3) \times 7))) - 1) \times 5)$
$13720 := ((-((1-3)) \times C(7)) \times 20)$
$13722 := ((C(((-(1) + C(3)) - (7))) + 2) \times 2)$
$13725 := (((1^3) + C((7 \times 2))) \times 5)$
$13732 := (-((1-3)) \times (7 + C((C(3) - C(2)))))$
$13733 := (-((13 \times 7)) + C((C(3) - 3)))$
$13735 := ((C(-(((1-3) \times 7))) + 3) \times 5)$
$13736 := ((C((1 + C(3))) - C((-(7) + C(3)))) - C(6))$
$13742 := (-(1) + (C(3) \times (-((7-4)) + C(C(2)))))$
$13743 := ((C(C(-((1-3)))) - (7-4)) \times C(3))$
$13752 := (((1+3) + (C(7) \times 5)) \times C(2))$
$13761 := (1 + (C(-((3-7))) \times (C(6)-1)))$
$13768 := (C(-((1-3))) \times (-(7) - (C(6) \times (-8))))$
$13785 := ((13 + (C(7) \times 8)) \times 5)$
$13798 := ((1 - C(3)) + C(((7+9)+8)))$
$13812 := (C(((1 \times 3) \times 8)) - 12)$
$13816 := ((-(1) + C((3 \times 8))) - (1+6))$
$13817 := ((-(1) + C((3 \times 8))) + ((1-7)))$
$13818 := ((1 + C((3 \times 8))) + ((1-8)))$
$13821 := (-((1 \times 3)) + C((8 \times (2+1))))$
$13822 := ((-(1) + C((3 \times 8))) - (2/2))$
$13823 := ((1 - C((3 \times 8))) \times (2-3))$
$13824 := C(((1^3 8) \times 24))$
$13825 := (1 + C(((38/2)+5)))$
$13826 := (-((1-3)) + C(((8/2) \times 6)))$
$13827 := ((1 \times 3) - (C(8) \times (-27)))$
$13828 := ((1+3) + C(((8 \times 2)+8)))$
$13831 := ((-(1) + C((3 \times 8))) + C((3-1)))$
$13832 := ((-(1) + C((3 \times 8))) + (3^2))$
$13833 := (C(((1 \times 3) \times 8)) + (3 \times 3))$
$13834 := ((((1-3) + C(8)) \times C(3)) + C(4))$
$13845 := ((1 + C((3 \times 8))) + ((4 \times 5)))$
$13848 := ((-((1 \times 3)) - C((8+4))) \times (-8))$
$13852 := ((1 + C(3)) + C((8 \times (5-2))))$
$13867 := ((1 + C((3 \times 8))) + (6 \times 7))$
$13869 := ((-(1) + ((3 \times C(8)) + (6))) \times 9)$
$13872 := ((-(1) + C((3 \times 8))) + ((7^2)))$
$13875 := (((13 \times 8) + 7) \times C(5))$
$13879 := (1 + (C(3) \times (C(8) - ((7-9)))))$
$13888 := (C((1+3)) + C(((8+8)+8)))$
$13892 := ((C((1 + C(3))) + (8 \times C(9)))/2)$
$13955 := ((((1+3) \times C(9)) - C(5)) \times 5)$
$13958 := (-(1) + ((3 \times 9) \times (5 + C(8))))$
$13986 := (((1 \times 3) \times 9) \times (C(8) + (6)))$
$14079 := (-(1) - (-(40) \times (C(7)+9)))$
$14125 := ((C((1+4)) - 12) \times C(5))$
$14162 := (1 + ((C((4+1)) - (6))^2))$
$14165 := (((1 + C(4)) \times C((1 \times 6))) + C(5))$
$14167 := (C((((1 \times 4) \times 1) \times 6)) + C(7))$
$14168 := ((1 + C((4-1))) \times (-(6) + C(8)))$
$14224 := ((14 \times 2) \times (C(C(2)) - (4)))$
$14232 := ((C(14) \times (2+3)) + C(C(2)))$
$14256 := (((-(1) + C(4)) - ((2-5))) \times C(6))$
$14282 := ((C(-((1-4))) \times (-(2) + C(8))) + C(C(2)))$
$14283 := (((1 + (4^2)) + C(8)) \times C(3))$
$14287 := ((-(1) + (-(4) \times (-(2) + C(8)))) \times (-7))$
$14322 := ((-(14) + C((3 \times C(2)))) + C(C(2)))$
$14328 := (((-(1) + C((4 \times 3))) \times C(2)) + C(8))$
$14332 := ((-((1 \times 4)) + C((C(3) - 3))) + C(C(2)))$
$14364 := ((C(((1+4) \times 3)) + C(6)) \times 4)$
$14365 := ((1 + (4^3)) \times (C(6) + (5)))$
$14375 := ((C((1+4)) - (3+7)) \times C(5))$

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14399 := $(-(1)+(C(4)\times(C(-((3-9)))+9)))$
14463 := $(-(1)+(C(4)\times(C(4)+(6\times C(3)))))$
14464 := $(((14-4)+C(6))\times C(4))$
14466 := $(((-((1-4))+C(4))\times C(6))-(6))$
14495 := $((-(1)+(-(4)\times(4-C(9))))\times 5)$
14499 := $(C(C(-((1-4))))-(C(4)\times(9\times 9)))$
14525 := $(((C((1+4))-(5))^2)+C(5))$
14529 := $((-(1)+(-(4)\times C(5)))\times(-29))$
14559 := $(-(1)-(-(4)\times(-(5)-(-(5)\times C(9)))))$
14573 := $(((1+C((4+5)))\times(-7))+C(C(3)))$
14581 := $(1+((4\times 5)\times C((8+1))))$
14593 := $(1+(-(4)\times((-(5)\times C(9))-3)))$
14594 := $(14+((-(5)\times C(9))\times(-4)))$
14616 := $((-(1)+C(4))\times(C(6)+(16)))$
14624 := $(((1+C(4))\times(C(6)+C(2)))+C(4))$
14625 := $((-(1)\times C((4+6)))+C(25))$
14637 := $(((-(1)+C(4))\times C(6))+(3\times C(7)))$
14678 := $(((-(1)+C((4\times 6)))+C(7))+C(8))$
14685 := $(((1+C(4))\times(C(6)+8))+C(5))$
14688 := $(C(-((1-4)))\times(68\times 8))$
14689 := $(1-((-(4)\times C(6))\times(8+9)))$
14695 := $((-(1)+(-(4)\times(-(6)-C(9))))\times 5)$
14739 := $(C(((1+47)+3))/9)$
14765 := $(((C(14)-(7))+C(6))\times 5)$
14768 := $((C((1\times 4))+(7))\times(C(6)-8))$
14784 := $(((1+(4\times 7))\times C(8))-C(4))$
14796 := $(((C(-((1-4)))-(7))\times C(9))+C(6))$
14824 := $((C((1+4))\times 8)+C(24))$
14832 := $-((C(14)-C(((8\times 3)+2))))$
14848 := $((1+((4\times 8)-4))\times C(8))$
14875 := $(((14\times 8)+7)\times C(5))$
14892 := $(((1\times 4)+8)\times(C(9)+C(C(2))))$
14893 := $(1-(-(4)\times((C(8)+C(9))\times 3)))$
14895 := $(C(C(-((1-4))))-(C((8+9))-C(5)))$
14923 := $((C(-((1-4)))-(C(9)))+C((-(2)+C(3))))$
14935 := $((C(14)-(-(9)\times C(3)))\times 5)$
14986 := $(C(C(-((1-4))))-(C((9+8))-C(6)))$
15112 := $((-(1)+C((5^{1+1})))-C(C(2)))$
15120 := $((-(1)-C(5))\times(-120))$
15125 := $(((-(1)+C(5))-(1+2))\times C(5))$
15157 := $(((-(1)+C(5))\times C((1\times 5)))-C(7))$
15192 := $(((C(15)+1)\times(-9))/(-2))$
15227 := $((((-(1)+C(5))-2)^2)+C(7))$
15238 := $(((1+C(5))\times C((2+3)))-C(8))$
15246 := $((1+(5\times(C(C(2))-(4))))\times 6)$
15264 := $((C(-((1-5)))+C(2))\times(C(6)-(4)))$
15276 := $((C(((1\times 5)^2))-C(7))-(6))$
15281 := $((-(1)+C((5^2)))-C((8-1)))$
15285 := $(-(15)\times((-(2)\times C(8))+(5)))$
15288 := $(((-(1)+C(5))^2)-(88))$
15309 := $((-((1+5))+C(3))\times C(09))$
15330 := $((1-C((5+3)))\times(-30))$
15336 := $(((C((1\times 5))-C(3))-C(3))\times C(6))$
15365 := $((-(1)+(C((5+3))\times(-6)))\times(-5))$
15367 := $(((1-C(5))+3)\times(C(6)-C(7)))$
15372 := $((-(1)-C(5))\times(3-C((7-2))))$
15376 := $((-(1)+C(5))^{3-7+6})$
15424 := $((-(1)-((C(5)-(4))\times(-2)))\times C(4))$
15426 := $((-(1)-C(5))+((C(4)+C(2))\times C(6)))$
15435 := $((C((1+(5\times 4)))/3)\times 5)$
15463 := $(((1-C(5))-(4^6))+C(C(3)))$
15486 := $((1+(-(5)\times(-(4)-C(8))))\times 6)$
15492 := $(((-(1)+C(5))\times C(-((4-9))))-C(2))$
15495 := $(((-(1)+C(5))\times C(-((4-9))))-(5))$
15619 := $(-((1+5))+C((6+19)))$
15625 := $C((((1+5)-6)+25))$
15627 := $(((1+(5^6))+C(2))-(7))$
15629 := $(-(1)+((5\times 6)\times(C(C(2))+9)))$
15631 := $((1+5)+C(-((6-31))))$
15652 := $(((1\times 5)^6)+C((5-2)))$
15653 := $((1+C(((5\times 6)-5)))+C(3))$
15675 := $(-(15)\times((C(6)-(7))\times(-5)))$
15678 := $((-(15)+C(6))\times 78)$
15686 := $((1+(5\times 6))\times(C(8)-(6)))$
15723 := $(((1+C(5))\times C((7-2)))-C(3))$
15736 := $(((-((1-5))^7)-(3\times C(6)))$
15752 := $-(((C((1+5))-C(7))-C((5^2))))$
15756 := $((-(1)+C(5))+(7+(5^6)))$
15848 := $(C((-(1)+C(-((5-8)))))-(C((4+8))))$
15868 := $(((1+C(5))^{8-6})-8)$
15872 := $((((1-5)+8)^7)-C(C(2)))$
15875 := $((C(15)\times(-8))+C((7\times 5)))$
15884 := $(((-(1)\times C(5))+C((8+8)))\times 4)$
15903 := $(-((1-590))\times C(3))$

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$15936 := (C(-((1-5))) \times ((9 \times C(3)) + (6)))$
$15952 := (((1+5) \times C((9+5))) - C(C(2)))$
$15993 := (((1 \times 5) \times (-(9) - C(9))) + C(C(3)))$
$16224 := ((-((1-6)) - C(C(2))) \times (C(2) \times (-4)))$
$16243 := (((1 - C(6)) \times (2^4)) + C(C(3)))$
$16253 := ((C((1+6)) \times (-(2 \times 5))) + C(C(3)))$
$16259 := -((C(-((1-6))) - (2^{5+9})))$
$16263 := (C(16) + C((26-3)))$
$16264 := ((-(1) - (C(6)/(-2))) \times (C(6) - C(4)))$
$16272 := (16 \times ((C(C(2)) - (7)) + C(C(2))))$
$16273 := (-((C(16) - (2 \times C(7)))) + C(C(3)))$
$16275 := (((1 - C(6)) - 2) \times (-75))$
$16285 := (((1 + C((6 + C(2)))) + C(8)) \times 5)$
$16315 := (((1+6) + C(C(3))) - C(15))$
$16355 := ((1 + C((6+3))) + C((5 \times 5)))$
$16375 := ((-(16) \times C(3)) + (7^5))$
$16379 := (((-(1) - C(6)) + C(C(3))) - (C(7) \times 9))$
$16382 := (((-((1-6)) + C(3)) \times C(8)) - 2)$
$16443 := ((1 - ((C(6) - C(4)) \times (-4))) \times C(3))$
$16444 := (((C(16) \times 4) + C(4)) - (4))$
$16445 := (((C(16) \times 4) - C(4)) + C(5))$
$16448 := ((C(16) \times 4) + C(-((4-8))))$
$16463 := (-(1) + (6 \times C(-((4 - (6 \times 3))))))$
$16464 := ((1 \times 6) \times C(((4+6)+4)))$
$16465 := (1 + (6 \times C(((C(4) + (6))/5))))$
$16472 := (((-(16) + C(4)) \times C(7)) + C(2))$
$16475 := ((C((1 \times 6)) + (4^7)) - C(5))$
$16487 := (-(1) + (-(6) \times (-(4) + (-(8) \times C(7)))))$
$16489 := (1 + ((C(6) + (-(4) \times C(8))) \times (-9)))$
$16492 := ((1 + C(6)) \times (4 + (9 \times C(2))))$
$16522 := ((-(1) + (-(6) \times C(5))) \times (-22))$
$16553 := (((1-6) - (5^5)) + C(C(3)))$
$16558 := (-((-((1-6))^5)) + C(C(-((5-8)))))$
$16569 := (((-(1) + C(6)) + (5^6)) + C(9))$
$16575 := ((C((1 \times 6)) + (5)) \times 75)$
$16625 := (-1+6)^6 + C(2 \times 5)$
$16632 := ((-((1+6)) \times C(6)) \times (-(3) - C(2)))$
$16655 := (((-(16) \times C(6)) + C(5)) \times (-5))$
$16697 := (-1+6)^6 + C(9) + C(7)$
$16723 := (((-(1) \times C(6)) - C((7 \times 2))) + C(C(3)))$
$16727 := ((((1 - C(6)) + C(7))^2) + C(7))$
$16752 := ((1 + (67 \times C(5))) \times 2)$
$16758 := (((-(1) - C(6)) + C(7)) \times (C(5) + 8))$
$16765 := ((-(1) - ((C(6) + C(7)) \times (-6))) \times 5)$
$16784 := (((-(1) \times C(6)) \times (-78)) - C(4))$
$16807 := ((1 + (6 \times 8)) \times C(07))$
$16835 := ((1-6) \times (8 - C((3 \times 5))))$
$16848 := ((C((1+6)) + 8) \times 48)$
$16863 := (((1^6) - C(8)) \times (-(6) - C(3)))$
$16884 := ((C(-((1-6))) + C((8+8))) \times 4)$
$16897 := (1 - ((6 \times 8) \times (-(9) - C(7))))$
$16926 := ((1 + C(6)) \times ((9 \times C(2)) + (6)))$
$16939 := -((C(-(((1-6)-9))) - ((3^9))))$
$16943 := -(((C(-(((1-6)-9))) - (4)) - C(C(3))))$
$16956 := (C((16+9)) + C((5+6)))$
$16992 := (((1 - C(6)) - C(9)) \times (-(9 \times 2)))$
$17123 := ((((1-7)+1) \times C(C(2))) + C(C(3)))$
$17149 := (-(1) + (C(7) \times (1+49)))$
$17150 := ((-(1) \times C(7)) \times (-(1 \times 50)))$
$17151 := (1 + (C(7) \times (-(1-51))))$
$17226 := (((1 - C(7)) - C(2)) + C(26))$
$17231 := (((-(1) \times C(7)) - 2) + C((C(3) - 1)))$
$17232 := ((-(1) - C(7)) + C(((C(2) \times 3) + 2)))$
$17233 := ((-(1) \times C(7)) + C((23+3)))$
$17234 := ((1 - C(7)) + C(-((C(2) - 34))))$
$17250 := (((-(1) \times C(7)) - 2) \times (-50))$
$17253 := (((C((1+7)) + 2) + C(5)) \times C(3))$
$17275 := (((1 + (7^2)) \times C(7)) + C(5))$
$17280 := (C(((1+7)-2)) \times 80)$
$17344 := ((C((1+7)) \times 34) - C(4))$
$17350 := (((-(1) - C(7)) - 3) \times (-50))$
$17375 := ((-(1) + ((-(7) + C(3)) \times 7)) \times C(5))$
$17396 := (((-(1) \times C(7)) + C(C(3))) - (9 \times C(6)))$
$17408 := (((1-7) + 40) \times C(8))$
$17451 := (C((-(1) + C((7-4)))) + (C(5) \times (-1)))$
$17485 := ((-(1) + C(C((7-4)))) - C((8+5)))$
$17488 := (C((-(1) + C((7-4)))) - (88))$
$17492 := (-(1) + (C(7) \times (49+2)))$
$17493 := ((-(((1-7) \times 4)) \times C(9)) - 3)$
$17494 := (1 + (C(7) \times (C(4) - (9+4))))$
$17496 := ((((1+7) + C(4)) + 9) \times C(6))$
$17520 := ((-(1) + (-(7) \times C(5))) \times (-20))$
$17523 := ((C(-((1-7))) \times (-(5 \times 2))) + C(C(3)))$
$17528 := (((1-7) + C((5 + C(2)))) \times 8)$

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17529 := $(((1+(7^5))-C(2))+C(9))$
17539 := $((((1\times 7)^5)+3)+C(9))$
17553 := $(((-(17)\times C(5))-(5))+C(C(3)))$
17556 := $(-((1-(7^5)))-(C(5)\times(-6)))$
17558 := $((-(17)\times C(5))+C(C(-((5-8)))))$
17576 := $C(((((1+7)+5)+7)+6))$
17577 := $(1+C((((7+5)+7)+7)))$
17578 := $((1-C(7))+((5\times 7)\times C(8)))$
17582 := $(-((1-7))+C(((5+8)\times 2)))$
17584 := $(((C(17)-(5))-C(8))\times 4)$
17623 := $((((-(1)\times C(7))\times 6)-2)+C(C(3)))$
17625 := $(((-(1)\times C(7))\times 6)+C(C(-((2-5)))))$
17631 := $(((1-C(7))\times 6)+C(C((3\times 1))))$
17632 := $(((-(1)-(C(7)\times 6))+C(C(3)))+C(2))$
17649 := $((1-(-(7)\times(C(6)+C(4))))\times 9)$
17664 := $(((-(1)+C(7))-66)\times C(4))$
17695 := $(-(1)+(-(7)\times(C(6)-C((9+5)))))$
17765 := $(-(17)\times((7-C(6))\times 5))$
17766 := $(((-(1)-C((7+7)))-C(6))\times(-6))$
17784 := $((1-C(7))\times(-((7\times 8)-4)))$
17839 := $(C((1\times 7))+((8\times 3)\times C(9)))$
17875 := $(((17\times 8)+7)\times C(5))$
17885 := $((1-((-(7)\times C(8))+8))\times 5)$
17915 := $((1-(7\times C((9-1))))\times(-5))$
17925 := $(((-(1)-C((7+9)))+C(C(2)))\times(-5))$
17927 := $((C((17+9))+C(2))+C(7))$
17951 := $(-(1)-((C(7)+9)\times(-51)))$
18088 := $(C((18+08))+C(8))$
18223 := $(((C((1+8))\times(-2))-2)+C(C(3)))$
18225 := $(C((18/2))\times 25)$
18235 := $(((1+C(8))+C(2))\times 35)$
18247 := $((1+(C(8)/2))\times(C(4)+(7)))$
18252 := $((C(-((1-8)))+C(2))\times 52)$
18288 := $(-(18)\times((C(2)-C(8))-C(8)))$
18324 := $((1+8)\times((3-C(C(2)))\times(-4)))$
18352 := $((-(1)\times C((8+3)))+C(C((5-2))))$
18363 := $(((C((1\times 8))\times(-3))+C(6))+C(C(3)))$
18368 := $(-((1-83))\times(C(6)+8))$
18375 := $(((18+3)\times 7)\times C(5))$
18378 := $(-(18)\times((-(3)\times C(7))+8))$
18393 := $(((-(1)+C(8))\times(C(3)+9))-3)$
18396 := $((1-C(8))\times((3-9)\times 6))$
18426 := $((-(1)+(C(8)\times(4+2)))\times 6)$
18431 := $(-(1)+(C(8)\times((C(4)-C(3))-1)))$
18433 := $(1-(C(8)\times(-((4\times 3)\times 3))))$
18438 := $((-((C((1+8))+(4)))+C(C(3)))-C(8))$
18439 := $((((1-C(8))-(4))+C(C(3)))-(C(9)))$
18479 := $(((-((1\times 8))+C(4))\times C(7))-C(9))$
18486 := $((1+8)\times((4\times C(8))+(6)))$
18522 := $(C(((18+5)-2))\times 2)$
18545 := $(((C((1+8))\times(-5))-C(4))\times(-5))$
18553 := $(((-((1+8))\times C(5))-(5))+C(C(3)))$
18558 := $((-((1+8))\times C(5))+C(C(-((5-8)))))$
18559 := $((1+C(C((8-5))))+(C(5)\times(-9)))$
18567 := $((1+8)\times(5+(6\times C(7))))$
18568 := $(((1+85)\times C(6))-8)$
18576 := $((1\times 8)\times(C(5)+C((7+6))))$
18603 := $(-((18\times 60))+C(C(3)))$
18625 := $((1-((C(8)-C(6))/(-2)))\times C(5))$
18649 := $(1+((C(8)+(6))\times(4\times 9)))$
18661 := $(-(1)+(86\times(C(6)+1)))$
18683 := $((-(1)\times C(((8-6)+8)))+C(C(3)))$
18793 := $(1+(87\times C((9-3))))$
18803 := $(-((1\times 880))+C(C(3)))$
18837 := $((((1-C(8))+8)+C(C(3)))-C(7))$
18875 := $(((18\times 8)+7)\times C(5))$
18893 := $(-((1-8))\times(C(8)+(C(9)\times 3)))$
18933 := $(((-(18)-C(9))+C(C(3)))-3)$
18936 := $((-(18)-C(9))+C(C(-((3-6)))))$
18938 := $(((-((1\times 8))-C(9))+C(C(3)))-8)$
18943 := $((((1-8)-C(9))-(4))+C(C(3)))$
18947 := $(((1-8)-C(9))+C(C(-((4-7)))))$
18948 := $(((1+(C(8)\times 9))\times 4)+C(8))$
18954 := $(C((18+9))-C((5+4)))$
18959 := $((C((18+9))+(5))-C(9))$
18962 := $(((1\times 8)-C(9))+C(C((6/2))))$
18963 := $(((1+8)-C(9))+C(C((6-3))))$
19043 := $((-((1+9))\times C(04))+C(C(3)))$
19152 := $(-(19)\times((-(1)-C(5))\times C(2)))$
19172 := $((1+C(C(((9+1)-7))))-C(C(2)))$
19234 := $(((-((1^9))-C(C(2)))+C(C(3)))+C(4))$
19239 := $((-(1)\times C(9))+(C(C(2))\times 39))$
19243 := $(((-((1-9))-C(C(2)))+C(4))+C(C(3)))$
19244 := $((-(C(19))-(C(C(2))\times(-4)))\times(-4))$
19297 := $(1+((9\times 2)\times(C(9)+C(7))))$

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19321 := $((-(19)+C(C(3)))-C((C(2)-1)))$
19332 := $((-(C(((1+9)-3)))+C(C(3)))-C(2))$
19335 := $(((1+C(9))\times C(3))+(-(3)\times C(5)))$
19337 := $((C(((1\times 9)\times 3))-3)-C(7))$
19343 := $(-(((1+9)\times 34))+C(C(3)))$
19354 := $((-((1\times 9))+C(C(3)))-(5\times C(4)))$
19367 := $(((1+C(9))\times C(-((3-6))))-C(7))$
19368 := $((-(19)+C(C(3)))+(C(6)-C(8)))$
19386 := $(((-(1)+C((9\times 3)))-C(8))+C(6))$
19388 := $((C((1\times 9))+C(C(3)))-(C(8)+C(8)))$
19396 := $-(((C(-((1-9)))-C(C(3)))+(-(9)-C(6))))$
19413 := $((-((1+9))\times C((4-1)))+C(C(3)))$
19433 := $((C((1+9))/(-4))+C((3^3)))$
19463 := $((((1-9)+4)-C(6))+C(C(3)))$
19476 := $(((1\times 9)+C(C(-((4-7)))))-C(6))$
19521 := $(((-(1)+C(9))-(5))\times C((2+1)))$
19533 := $(-((((1+9)\times 5)\times 3))+C(C(3)))$
19539 := $((-(19)-C(5))+(3^9))$
19543 := $(((-(19)-C(5))+(4))+C(C(3)))$
19547 := $(-(1)+((C(9)-(5))\times C(-((4-7)))))$
19553 := $(((-((1+9))-C(5))+(5))+C(C(3)))$
19554 := $(C(C(-(((1-9)+5))))-(C(5)+(4)))$
19558 := $((-((1^9))\times C(5))+C(C(-((5-8)))))$
19563 := $(((1+95)-C(6))+C(C(3)))$
19568 := $(((1+9)-C(5))+C((C(6)/8)))$
19573 := $(((-((1-9))-C(5))+(7))+C(C(3)))$
19585 := $(((1+C(9))\times C(-((5-8))))-(C(5)))$
19613 := $(-(((1\times 9)+61))+C(C(3)))$
19624 := $(C((-(1)+C((9-6))))-(C(C(2))\times(-4)))$
19627 := $(C(C(((1\times 9)-6)))-(C(2)\times 7))$
19629 := $(C(((1\times 9)-6))\times(-(2)+C(9)))$
19641 := $((-(1)+C(C((9-6))))-41)$
19642 := $((1+C(C((9-6))))-42)$
19648 := $((((1-C(9))\times C(6))+C(4))/(-8))$
19653 := $(-((((1^9)\times 6)\times 5))+C(C(3)))$
19656 := $(((1\times 96)-5)\times C(6))$
19658 := $(-((19+6))+C(C(-((5-8)))))$
19663 := $((1+C(C((9-6))))-(-(6)+C(3)))$
19664 := $(-(19)+C(C(((6+6)/4))))$
19665 := $((1\times 9)+(C(6)\times(C(6)-C(5))))$
19668 := $((-(1)+C(C((9-6))))-(6+8))$
19669 := $((1+C(C((9-6))))-(6+9))$
19673 := $(-((1+9))+C((6+(7\times 3))))$
19674 := $(-((1\times 9))+C(C(((6-7)+4))))$
19675 := $((1-9)+C(C((6/(7-5)))))$
19681 := $(-(1)-((C((9\times 6))/(-8))+1))$
19682 := $((C(((1\times 9)\times 6))-8)/C(2))$
19684 := $(1+C((((9+6)+8)+4)))$
19685 := $(-(((1-9)+6))+C(C((8-5))))$
19686 := $((1+C(C((9-6))))+(8-6))$
19691 := $(-((1-9))+C((C(6)/(9-1))))$
19692 := $((1\times 9)+C(((6\times 9)/2)))$
19693 := $((1+9)+C(C((6-(9/3)))))$
19696 := $((19-6)+C(C((9-6))))$
19710 := $((1+C(9))\times C(-((7-10))))$
19722 := $(-(19)\times((7+C(C(2)))\times(-2)))$
19723 := $(-(((1-9)\times(7-2)))+C(C(3)))$
19733 := $((C((1+9))/(-(7)+C(3)))+C(C(3)))$
19738 := $((((1\times 9)\times 7)+C(C(3)))-8)$
19743 := $(((19\times C(7))+C(4))\times 3)$
19747 := $((1+(9\times 7))+C(C(-((4-7)))))$
19766 := $(-(1)+((9\times C((7+6)))-(6)))$
19767 := $(1+((9\times C((7+6)))-(7)))$
19773 := $((1\times 9)\times C((-((7+7))+C(3))))$
19774 := $(1+(9\times C((77-C(4)))))$
19834 := $(-(1)+(((C(9)+8)\times C(3))-C(4)))$
19835 := $((C((19+8))+C(3))+C(5))$
19837 := $((((1+C(9))-8)\times C(3))+C(7))$
19855 := $(((-((1-9))\times C(8))-C(5))\times 5)$
19862 := $((C(19)-(C(8)\times(-6)))\times 2)$
19875 := $(((19\times 8)+7)\times C(5))$
19925 := $(-(1)+((9+C(9))\times C(-((2-5)))))$
19927 := $(1+((9+C(9))\times 27))$
19968 := $(C(-((1-9)))\times(-(9-(6\times 8))))$
20167 := $(C(20)+C((16+7)))$
20193 := $((-(2)+C(((0-1)+9)))+C(C(3)))$
20195 := $(C(C(2))+C(C((((0-1)+9)-5))))$
20196 := $((C(C(2))+01)+C(C((9-6))))$
20203 := $((C(2)+C(C(02)))+C(C(03)))$
20223 := $(((20+C(2))+C(C(2)))+C(C(3)))$
20224 := $(C((20+C(2)))-C((C(2)+(4))))$
20323 := $((20\times 32)+C(C(3)))$
20377 := $((C(2)+C(C(03)))+(C(7)+C(7)))$
20383 := $((20\times(C(3)+8))+C(C(3)))$
20391 := $((-(20)+C(C(3)))+(C(9)-1))$

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20393 := $((C(2)+C(C(03)))+(C(9)-C(3)))$
20397 := $((-(C(2))+C(C(03)))+((C(9)-(7))))$
20453 := $((20\times(4^5))-C(3))$
*mathbf*20455 := $((C((2^{04}))-(5))\times 5)$
20523 := $(((-(20)+C(5))\times C(2))+C(C(3)))$
20536 := $(((C(C(2))-(0-C(5)))+C(C(3)))+C(6))$
20538 := $((C((2+05))+C(C(3)))+C(8))$
20539 := $(((2+C(05))+C(C(3)))+(C(9)))$
20579 := $(2+((0-C(57))/(-9)))$
20683 := $(C((2+((0\times 6)+8)))+C(C(3)))$
20736 := $((-((2^{07}))\times C(3))\times(-6))$
20762 := $((C((C(2)-(0-7)))\times 6)+C(C(2)))$
20763 := $((-((2-07))\times C(6))+C(C(3)))$
20875 := $(((20\times 8)+7)\times C(5))$
20932 := $(((C(2)+C(09))+C(C(3)))+C(C(2)))$
21105 := $(21\times(C(10)+(5)))$
21125 := $(((2+11)^2)\times C(5))$
21139 := $(-(2)+(((1+1)+C(3))\times C(9)))$
21223 := $-((C((C(2)+1))-C(((2/2)+C(3)))))$
21231 := $((C(2)-C((1+C(2))))+C((C(3)+1)))$
21244 := $(C(C(2))+((12^4)-4))$
21248 := $(C(C(2))+(C(12)\times(4+8)))$
21294 := $(2\times(-(1)+C(((2\times 9)+4))))$
21296 := $(2\times C(-(((1-29)+6))))$
21298 := $(2\times(1-(C((2+9))\times(-8))))$
21315 := $(((C(C(2))\times(-1))+C((C(3)+1)))-(C(5)))$
21322 := $(2\times(13+C(22)))$
21367 := $-((((C(C(2))+1)-C(C(3)))-C((6+7))))$
21368 := $-(((C(C(2))-C(13))-C((C(6)/8))))$
21370 := $-(((C(C(2))-C((1+C(3))))+70))$
21375 := $((C(C(2))+(-((1-3))-C(7)))\times C(5))$
21384 := $(C(C((2+1)))-(C(3)-C((8+4))))$
21395 := $-(((C(C(2))-C((1+C(3))))+(9\times 5)))$
21411 := $(C(C((2+1)))+C((4+C((1+1)))))$
21413 := $-(((C(C(2))+C(-((1-4))))-C((1+C(3)))))$
21422 := $(2\times((-(1)+C(4))+C(22)))$
21424 := $(C(2)\times((C(14)-2)-C(4)))$
21432 := $((-(C(2))+C(((1^4)+C(3))))-C(C(2)))$
21435 := $-(((C(C(2))-C(((1^4)+C(3))))+(5)))$
21438 := $((-(2)+C(((1^4)+C(3))))-C(8))$
21439 := $((C(2)\times(C(14)+C(3)))-C(9))$
21475 := $(C(C((2+1)))+((C(4)+C((7+5)))))$
21477 := $-((C((2+1))-(C(4)\times(-(7)+C(7)))))$
21537 := $((C(-((2-15)))+C(C(3)))-C(7))$
21576 := $(C(2)+(C(-((1-5)))\times(C(7)-(6))))$
21627 := $(((C(2)+1)\times C(6))+C(27))$
21643 := $(((C(2)-1)\times(C(6)+C(4)))+C(C(3)))$
21672 := $((C(C(2))-C(-((1-6))))\times(7\times C(2)))$
21683 := $(((-(2)\times C(-((1-6))))\times(-8))+C(C(3)))$
21724 := $((C(C((2+1)))-(7))-(C(C(2))\times(-4)))$
21728 := $((-(C(2))-C(-((1-7))))+(C(28)))$
21736 := $(((21+7)^3)-C(6))$
21743 := $((C((C(2)+1))+C((7+4)))+C(C(3)))$
21762 := $(((C(2)\times(-1))-C(7))\times(-62))$
21763 := $((C((21+7))-C(6))+C(3))$
21789 := $(C((2+1))\times(78+C(9)))$
21824 := $(C((2+18))+C(24))$
21835 := $((C(2)+C(((1^8)+C(3))))-(C(5)))$
21853 := $(C(C((2+1)))+(C((8+5))-C(3)))$
21873 := $((C((21-8))-(7))+C(C(3)))$
21875 := $(((21\times 8)+7)\times C(5))$
21888 := $((C(C(2))-C(-(((1-8)\times 8))))/(-8))$
21923 := $((C(C(2))+C(((1+9)+2)))+C(C(3)))$
21930 := $((2+C((1\times 9)))\times 30)$
21931 := $(-(21)+C(((9\times 3)+1)))$
21933 := $((C(2)+C((1+(9\times 3))))-C(3))$
21934 := $(C(C((2+1)))+((C(9)\times 3)+C(4)))$
21937 := $-(((C(2)-C((1+(9\times 3))))+(7)))$
21943 := $(-((C(2)+1))+C(((-(9)+C(4))-C(3))))$
21944 := $(-(C(2))+C(-((((1-9)\times 4)+4))))$
21946 := $(C((2\times((1+9)+4)))-(6))$
21951 := $(C((2\times((1\times 9)+5)))-1)$
21952 := $C(((((2-1)\times 9)+5)\times 2))$
21954 := $(2+C(((19+5)+4)))$
21955 := $((C(2)\times(1+C((9+5))))-(5))$
21958 := $(-(2)+((1+C((9+5)))\times 8))$
21973 := $((C(C(2))-1)\times((9+7)+C(3)))$
21995 := $(((21+9)\times C(9))+C(5))$
22024 := $(C((C(2)+(20)))+((C(2)+C(4))))$
22033 := $(C((C(2)+(20)))-(C(3)\times(-3)))$
22043 := $(C((C(2)+(20)))+((C(4)+C(3))))$
22085 := $((C(2)+C((20+8)))+C(5))$
22113 := $((C(C(2))+C((C(2)+11)))\times 3)$
22116 := $(2\times((C(C(2))+(C(11)))\times 6))$

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22125 := $(((C(2)+C(C(2)))-C((-(1)+C(2))))\times C(5))$
22144 := $(((-(2)-C((C(2)-1)))\times(-C(4)))+C(4))$
22165 := $((C((2+2))+1)\times(C(6)+C(5)))$
22168 := $(C(2)\times(C((2+1))+C((6+8))))$
22176 := $((C(2)+C((21+7)))+C(6))$
22184 := $-((C(22)+((-(1)-C(8))\times C(4))))$
22208 := $((2^{C(2)})+C((20+8)))$
22233 := $(((2-C(C(2)))\times(-(2+3)))+C(C(3)))$
22243 := $((C(2)\times((2^{C(2)})+C(4)))+C(C(3)))$
22245 := $((-(C(22))+C((C(2)\times4)))+(C(5)))$
22253 := $((C(2)+2)-((C(C(2))\times(-5))-C(C(3))))$
22256 := $(C(2)-((22-C(5))\times C(6)))$
22272 := $((C(C(2))\times(-((2^{C(2)})-C(7))))/2)$
22275 := $((((C(C(2))+2)\times(-C(2)))-C(7))\times(-5))$
22287 := $(-(C(2))-(((C(2)+C(C(2)))/8)\times(-C(7))))$
22317 := $((22+C((C(3)+1)))+C(7))$
22326 := $(((C((2+2))-3)^2)\times6)$
22337 := $-C(C(2))+C(C(2)+C(3))-C(C(3))-C(7)$
22355 := $((C((C(2)+C(2)))-(-(3)\times C(5)))\times5)$
22374 := $((22\times3)\times(C(7)-(4)))$
22375 := $(((-(2)-C(2))+(C(3)\times7))\times C(5))$
22392 := $(C(((-(2)-C(2))\times(-3)))-(9\times C(C(2))))$
22394 := $(((C(C(2))+2)+C(C(3)))+C((9+4)))$
22427 := $(C(-((2-(2^4))))+(C(27)))$
22457 := $((C(C(2))+C((C(2)+((4\times5)))))-(7))$
22462 := $((C(C(2))-2)+C((C(4)-((6^2)))))$
22464 := $(((2+24)\times C(6))\times4)$
22466 := $((C(C(2))+2)+C((C(4)-(6\times6))))$
22471 := $(C(C(2))+(((C(2)+C((4\times7)))-1)))$
22472 := $(C(2)+(C(2)\times(C(4)+C((7\times2)))))$
22473 := $(((-(2)-C(2))\times(C(4)-C(7)))+C(C(3)))$
22489 := $(C((2+24))+C((8+9)))$
22519 := $-((C(C(2))-(((C(C(2))\times5)-1)\times9)))$
22524 := $((C(C(2))\times(-(C(2)-(52))))-(4))$
22528 := $((2+((C(2)\times5)+2))\times C(8))$
22532 := $(2\times((C(C(2))\times(-(5)+C(3)))+2))$
22536 := $((2\times(C(C(2))+C((-(5)+C(3)))))+C(6))$
22563 := $(((C(C(2))-(2^5))\times6)+C(C(3)))$
22575 := $((C(C(2))+(C(2)+C(5)))\times(7\times5))$
22590 := $(((2^{C(2)})-(5))\times90)$
22599 := $((C(2)+((2^5)-9))\times C(9))$
22643 := $((((C(2)-C(C(2)))\times(-6))-C(4))+C(C(3)))$
22649 := $((C(2)\times(C((C(2)+(6)))-(4)))+(C(9)))$
22679 := $(-(2)-((-((2^6))\times C(7))-C(9)))$
22681 := $(C((2+26))+C((8+1)))$
22683 := $(((2^{C(2)})+C((6+8)))+C(C(3)))$
22689 := $((C(2)+C((2\times(6+8))))+C(9))$
22697 := $(((C(C(2))-(C(C(2))\times6))\times(-9))-C(7))$
22757 := $((C(C(2))+(C((2\times7))-(5)))\times7)$
22763 := $((C(2)\times(C(C(2))-((C(7)-C(6)))))+C(C(3)))$
22784 := $((C(C(2))-(2\times78))\times C(4))$
22792 := $((C(C(2))+(C((2\times7))))\times(9-2))$
22807 := $(C(C(2))+((C(28)+C(07))))$
22813 := $((C(C(2))\times(2+81))-C(C(3)))$
22815 := $(C(22)+C((8+15)))$
22823 := $((C(22)+8)+C(23))$
22849 := $-(((C(22)-C((8\times4)))-C(9)))$
22875 := $(((22\times8)+7)\times C(5))$
22896 := $(2\times(((2\times8)\times C(9))-C(6)))$
22923 := $((C(2)+((29^2)))\times C(3))$
22929 := $(-(2)-((2\times C(9))-C(29)))$
22932 := $(C((2+29))-C((C(3)-C(2))))$
22935 := $((((2-C(C(2)))\times(-9))-3)\times5)$
22942 := $((-(2)\times C((C(2)+9)))+C((C(4)/2)))$
22944 := $(C(2)\times(((C(2)-C(9))+(4))\times(-4)))$
22968 := $(C(2)\times((C(2)+C((9+6)))-C(8)))$
22976 := $(C(2)-(C(2)\times((-(9)\times C(7))+C(6))))$
22995 := $((C(C(2))+((C(2)-9)))\times(9\times5))$
23087 := $(2+(C(3)\times(C(08)+C(7))))$
23168 := $-(((C(C(2))-C((C(3)+1)))+(C(6)\times(-8))))$
23183 := $(((-(C(2))-C(C(3)))-1)+C((8+C(3))))$
23192 := $(C((C(2)+C(3)))-C(C(((1^9)+2))))$
23193 := $(C((C(2)+C(3)))-(-(1)+C((9\times3))))$
23194 := $((2-C(C(3)))+C(-((1-(9\times4)))))$
23213 := $((C((C(2)+C(3)))+21)-C(C(3)))$
23243 := $((C(2)\times((-(3)+C(C(2)))-C(4)))+C(C(3)))$
23247 := $((C(2)+C(C(3)))+((C(C(2))-(4))\times7))$
23256 := $((C(C(2))\times((3^2)\times5))+C(6))$
23264 := $((((2\times C(3))\times2)\times C(6))-C(4))$
23272 := $((((2\times C(3))^2)-(7))\times C(2))$
23273 := $((2\times3)+((C(C(2))\times7)+C(C(3))))$
23275 := $((((C(C(2))+C(3))\times C(2))+C(7))\times5)$
23276 := $(((2+C(C(3)))+C((C(2)+(7))))+C(6))$
23283 := $(C((C(2)+3))+((28^3)))$

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23292 := $(((C(23) - C(C(2))) - 9) \times 2)$
23293 := $-((C(2) + ((-(32) \times C(9)) + C(3))))$
23324 := $((C(2) \times ((C(3) + C(3))^2)) - (4))$
23325 := $((C((C(2) + C(3))) - C(C(3))) + (C(2) + C(5)))$
23326 := $(-(2) + (((C(3) + C(3)) \times 2) \times C(6)))$
23329 := $(-((2 - 3)) + (32 \times C(9)))$
23332 := $((C(2) + C((3 + 33)))/2)$
23336 := $(C(2) + (((C(3) \times 3) + C(3)) \times C(6)))$
23344 := $((C(((2 \times 3) \times 3)) + (4)) \times 4)$
23352 := $((C(2) \times (-3)) \times (C(3) - C((5 \times 2))))$
23374 := $(2 \times ((C(C(3)) - C((C(3) - (7)))) + (4)))$
23375 := $(-((2 - ((3^3) \times 7))) \times C(5))$
23389 := $(C((2 + C(3))) - C((C(3) - ((8 + 9)))))$
23392 := $(((2 + 3) + C(3)) \times (C(9) + 2))$
23398 := $((-(C(2)) + C(C(3))) + (3 \times (C(9) + C(8))))$
23424 := $(2 \times (((C(3) - (4)) \times C(C(2))) - C(4)))$
23452 := $((C(C(2)) + (3 - C(4))) \times 52)$
23463 := $(((2 + 3) - (-(4) \times C(6))) \times C(3))$
23465 := $(2 - (C(3) \times ((-(4) \times C(6)) - (5))))$
23475 := $((-(2) + C(3)) \times (C(4) - (-(7) \times C(5))))$
23479 := $((C(C(2)) \times 3) + ((C((4 \times 7)) - 9)))$
23483 := $((C(2) \times ((C(3) - C(4)) + C(8))) + C(C(3)))$
23488 := $((C(C(2)) \times 3) - (C((C(4) - 8))/(-8)))$
23496 := $(C(2) \times (C(3) - ((-(4) \times C(9)) + (6))))$
23523 := $(((C(C(2)) - (C(3) + (5))) \times C(2)) + C(C(3)))$
23537 := $(((2 + C(35)) - C(C(3))) + C(7))$
23544 := $((2 \times C(3)) \times ((C(5) \times 4) - C(4)))$
23552 := $(C(2) \times (((3^5) + C(5)) \times C(2)))$
23554 := $(2 - ((-((3^5)) - C(5)) \times C(4)))$
23563 := $((C((2 \times (3 + 5))) - C(6)) + C(C(3)))$
23569 := $(C((2 + C(3))) + (((C(5) - C(6)) - C(9))))$
23579 := $(-((C(2) - C(3))) \times (C(C(-((5 - 7)))) + (C(9))))$
23592 := $(C(2) + ((C(3) + (5)) \times (C(9) + C(2))))$
23594 := $((C(2) + ((3^5))) \times 94)$
23611 := $(C((-(2) + C(3))) - (-(6) \times C(11)))$
23617 := $-((C(2) + (C((3 \times (6 - 1))) \times (-7))))$
23623 := $(-(2) - ((C(3) - C(6)) \times C((2 + 3))))$
23624 := $(C(C(2)) - (C(3) \times ((C(6) - 2) \times (-4))))$
23625 := $(C((2 + (3 \times 6))) + C(25))$
23627 := $(2 - (C((3 + (6 \times 2))) \times (-7)))$
23633 := $(C((2 + C(3))) - (C((6 + 3)) + C(3)))$
23639 := $(C((2 + C(3))) - ((-(6) + C(3)) + C(9)))$
23652 := $(((C(23) - C(6)) - C(5)) \times 2)$
23654 := $(C((2 + C(3))) - (6 + C((5 + 4))))$
23657 := $((((C(2) \times (-3)) + C(6)) \times C(5)) - C(7))$
23659 := $(C((2 + C(3))) - ((6 - 5) + C(9)))$
23672 := $((C(C(2)) - (36 \times C(7))) \times (-2))$
23673 := $-(((C((-(2) + C(3))) + (6)) - C((7 + C(3)))))$
23680 := $((C((2^3)) - C(6)) \times 80)$
23693 := $(C((2 + C(3))) - ((-(6) + C(9)) - C(3)))$
23695 := $((C(C(2)) + C(C(3))) + ((C((6 + 9)) + C(5))))$
23723 := $(((C((2^3)) - (7)) \times C(2)) + C(C(3)))$
23724 := $(C((2 + C(3))) - (C((7 + 2)) - C(4)))$
23733 := $((C(C(2)) - ((3 - C(7)) - C(3))) \times C(3))$
23734 := $((2 \times C(3)) + ((C(7) + C(3)) \times C(4)))$
23744 := $((((C(2) \times 3) + C(7)) + (4)) \times C(4))$
23750 := $((C(C(2)) - 37) \times 50)$
23752 := $((C((C(2) + ((3 \times 7)))) - (C(5))) - C(C(2)))$
23755 := $((2 \times (C(C(3)) + (7))) - C((5 \times 5)))$
23759 := $(C(C(2)) + (C(3) \times ((7 + C(5)) + C(9))))$
23763 := $(-((C(23) + (7))) + C((6 + C(3))))$
23765 := $((C(C(2)) - C(3)) \times (-(76) + C(5)))$
23769 := $((C(C(2)) \times (3 + (7 \times 6))) + (C(9)))$
23772 := $(((C(C(2)) + C(C(3))) - (7)) - (-(7) \times C(C(2))))$
23779 := $((C(C(2)) + C(C(3))) + (7 \times C(C(-((7 - 9))))))$
23781 := $((2 + C(C(3))) + C(((7 + 8) + 1)))$
23784 := $((-(2) + C(C(3))) + (7 + (8^4)))$
23786 := $((C(C(2)) + C(C(3))) + ((C((7 + 8)) + C(6))))$
23788 := $((2 + C(C(3))) - (-(7) - C((8 + 8))))$
23789 := $((2 + C(C(3))) + ((C((7 + 8)) + C(9))))$
23793 := $((C(-((C(2) - C(3)))) + (C(7) + C(9))) \times 3)$
23798 := $(C((2 + C(3))) + (-(79) - C(8)))$
23803 := $((C(2) \times (3 + C(8))) + C(C(03)))$
23813 := $(C((2 + C(3))) - ((C(8) + C((1 + 3)))))$
23814 := $(C((2 + C(3))) - ((C(8) - 1) + C(4)))$
23822 := $((C(23) - (C(8)/2)) \times 2)$
23823 := $(C((2 + C(3))) - (C(8) + (2 \times C(3))))$
23824 := $(C((C(2) \times 3)) + (((8 + 2)^4)))$
23826 := $((C((2 + 3)) - C((8 \times 2))) \times (-6))$
23827 := $((-(C(2)) + C(C(3))) + (8 \times (C(C(2)) + (7))))$
23843 := $((C(((2^3) + 8)) + C(4)) + C(C(3)))$
23850 := $(((C(2) + C(3)) - C(8)) \times (-50))$
23852 := $(C((2 + C(3))) - (C(8) + ((5^2))))$
23856 := $((C(2) \times 3) \times ((8 \times C(5)) - (6)))$

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23894 := $(((2 \times C((3+8))) \times 9) - C(4))$
23895 := $(((C(2) - C(3)) - C(8)) \times (-(9 \times 5)))$
23921 := $((C((C(2) + C(3))) + (C(9))) - C(C((2+1))))$
23923 := $(((2 - C(C(3))) + (C(9))) + C((C(2) + C(3))))$
23927 := $(((C(C(2)) + C((C(3) + 9)))/2) + C(7))$
23935 := $(((C((-(2) + C(3))) - (C(9))) - C(C(3))) \times (-5))$
23953 := $(((C((2+3)) + C(9)) \times 5) + C(C(3)))$
23955 := $((2 + C(C(3))) + ((C(9) + C(5)) \times 5))$
23956 := $(-(2) + ((C(3) - 9) \times C((5+6))))$
23958 := $(C((C(2) + 3)) \times (-(9) + C(-((5-8)))))$
23966 := $(C((2 + C(3))) + ((9 - C(6)) - C(6)))$
23972 := $(((C((C(2) + 3)) \times 9) + (7)) \times 2)$
23976 := $(((-(2) \times C((3+9))) \times (-7)) - C(6))$
23984 := $((-(C(2)) \times (C(C(3)) - (C(9)))) + C((-(8) + C(4))))$
23992 := $-((C(2) + (-(3) \times C(((9+9)+2)))))$
24064 := $-(((C(2) - (C(4) \times 06)) \times C(4)))$
24072 := $((C(C(2)) \times (40+7)) + C(2))$
24125 := $((-(C((2^4))) - C((1 + C(2)))) \times (-5))$
24137 := $(C(C(2)) - (C(((4+1) \times 3)) \times (-7)))$
24167 := $((C(2) + (4-1)) \times C((6+7)))$
24176 := $((2^4) \times (-(1) - (-(7) \times C(6))))$
24192 := $(24 \times (C((1+9)) + C(2)))$
24194 := $(2 \times (C(C(4)) - C((-((1^9)) + C(4)))))$
24233 := $((-(2) \times (C(4) - C(23))) + C(3))$
24253 := $-((C(C(2)) + ((-(C(4)) \times (C(C(2)) - (C(5)))) + 3)))$
24256 := $((C(2) \times 4) \times (C(2) - (C(5) \times (-6))))$
24258 := $(2 - (C(4) \times ((C(2) + C(5)) - C(8))))$
24276 := $((C(C(2)) + (C(4) + 2)) \times (7 \times 6))$
24283 := $(((C((2^4)) - C(2)) + C(8)) + C(C(3)))$
24293 := $((2 + (C((4 \times 2)) \times 9)) + C(C(3)))$
24317 := $((2 \times C((-(4) + C(3)))) - (17))$
24318 := $(2 \times (C((-(4) + C(3))) - (1 \times 8)))$
24320 := $((C(C(2)) - C((4 \times 3))) \times (-20))$
24322 := $(((-(C(2)) + C((-(4) + C(3)))) + 2) \times 2)$
24323 := $((-(2) - C(4)) + C((32-3)))$
24325 := $(((2 - C((-(4) + C(3)))) \times (-2)) - (5))$
24326 := $((2 \times C((-(4) + C(3)))) - (2+6))$
24327 := $((2 \times C(((4 + C(3)) - C(2)))) - (7))$
24328 := $((C(C(2)) + C(C(4))) - C(((C(3) \times 2) + 8)))$
24329 := $(((-(2) - C((-(4) + C(3)))) \times (-2)) - 9)$
24331 := $((2 \times C((-(4) + C(3)))) - (3 \times 1))$
24332 := $(-(2) - (((-(4) + C(3))^3) \times (-2)))$
24333 := $((2 \times C((-(4) + C(3)))) - (3/3))$
24334 := $(-((2-4)) \times C(((3^3) - 4)))$
24335 := $((2 \times (C((-(4) + C(3))) + 3)) - (5))$
24341 := $((2 \times (4 + C((C(3) - (4))))) - 1)$
24342 := $((2 \times C((-(4) + C(3)))) + (4 \times 2))$
24346 := $(-((2-4)) \times (C((C(3) - (4))) + (6)))$
24352 := $(C(2) - ((C((-(4) + C(3))) + (5)) \times (-2)))$
24354 := $((C(C(2)) - ((C(4) - 3))) \times 54)$
24356 := $(2 \times (C((-(4) + C(3))) + (5+6)))$
24357 := $((C(2) \times (-4)) + C((C(3) - ((5-7)))))$
24359 := $((C(C(2)) \times (C(4) - (3 \times 5))) - (C(9)))$
24362 := $(C((-((2-4)) + C(3))) - C((6/2)))$
24375 := $((C((2+4)) - ((3 \times 7))) \times C(5))$
24376 := $-((C(2) + ((C(4) \times (-3)) \times (C(7) - C(6)))))$
24381 := $-((C(2) - C((4 + ((3 \times 8) + 1)))))$
24384 := $((((-(2) \times C(4)) - 3) + C(8)) \times C(4))$
24385 := $-(((C(2) - (4)) - C(((3 \times 8) + 5))))$
24387 := $(-(2) + C((C(4) + (((3-8) \times 7)))))$
24388 := $(C((-((2-4)) + C(3))) - (8/8))$
24389 := $C(-(((2^4) + ((3-8) \times 9))))$
24391 := $(2 + C(((C(4) - C(3)) - (9-1))))$
24394 := $(C((-((2-4)) + C(3))) + (9-4))$
24397 := $(C(2) + C(((4 + C(3)) - (9-7))))$
24429 := $((-(24) + C(4)) + C(29))$
24432 := $(((C(2) + (4)) \times 4) \times (-(3) + C(C(2))))$
24455 := $((2 + C(4)) + C((4 + (5 \times 5))))$
24456 := $((C((2^4)) - ((4 \times 5))) \times 6)$
24462 := $(2 \times (C(4) + C((46/2))))$
24464 := $(((C(2) - C((4 \times 4))) \times (-6)) - C(4))$
24472 := $(C(24) + C(((4+7) \times 2)))$
24512 := $(C(C(2)) - (C((4 \times 5)) \times (-(1+2))))$
24514 := $(C((24+5)) + C((1+4)))$
24515 := $((C((24+5)) + 1) + C(5))$
24525 := $((C(2) - C(((4+5) + C(2)))) \times (-5))$
24535 := $((C(C(2)) + (C(4) + C(5))) \times 35)$
24545 := $((C((C(2) + (4+5))) - (4)) \times 5)$
24552 := $(((C(2) - C(4)) + ((5^5))) \times C(2))$
24565 := $(C((((2+4)+5)+6)) \times 5)$
24568 := $(C(2) \times ((4-5) - (-(6) \times C(8))))$
24573 := $((C(C(2)) \times (4 \times (5+7))) - 3)$
24576 := $(C((2^4)) \times ((5+7) - 6))$
24578 := $(2 + ((4 \times (5+7)) \times C(8)))$

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24589 := $(24-(-(5)\times C((8+9))))$
24596 := $((C((24+5))-9)+C(6))$
24603 := $((C((2^4))\times 6)+C(03))$
24608 := $(C(2)\times(4-(-(6)\times C(08))))$
24624 := $((C(2)+(4^6))\times(2+4))$
24626 := $(2+((-((4^6))-C(2))\times(-6)))$
24629 := $((24+C(6))+C(29))$
24636 := $((-(2)+((C(4)-C(6))\times C(3)))\times(-6))$
24657 := $(((-((2^4))+C(6))\times C(5))-C(7))$
24665 := $(((C((2^4))-(6))\times 6)+C(5))$
24672 := $((C(2)+(4))\times((6\times C(7))-2))$
24693 := $((C(((2\times 4)+6))\times 9)-3)$
24696 := $-(((C(2)-C(4))\times((C(6)+9)+C(6))))$
24712 := $(C(2)-(C(4)\times(C(7)-C((1+C(2))))))$
24723 := $((((C(C(2))+C(4))\times C(7))/C(2))+C(3))$
24728 := $((C(2)\times(4+C(7)))+C(28))$
24747 := $(((-(2)-C(4))-(7))\times(4-C(7)))$
24749 := $(2+((-(4)+C(7))\times(C(4)+9)))$
24759 := $((C((2+4))\times(-(7)+C(5)))-C(9))$
24768 := $(C((C(2)\times 4))-C((-(7)+(C(6)/8))))$
24772 := $(((C(C(2))+(4))\times(7\times 7))-C(C(2)))$
24792 := $(((C(2)+(4))+(C(7)\times 9))\times C(2))$
24793 := $((C(C(2))\times 47)+((9^3)))$
24803 := $((C((C(2)-(4)))\times 80)+C(C(3)))$
24813 := $((C(C(2))+((C(4)+C((8-1))))))\times C(3))$
24816 := $(C(2)\times(((4+C(8))+1)\times 6))$
24829 := $-((((C(2)+C(4))-C(8))-C(29)))$
24837 := $(C(C(2))-(C(4)-C((8+(3\times 7)))))$
24862 := $(-(2)-(48\times(-(6)-C(C(2)))))$
24864 := $((C(2)+(4))\times((C(8)+(6))\times 4))$
24872 := $-((C((2+4))+(C(8)\times(-(7^2)))))$
24875 := $(((24\times 8)+7)\times C(5))$
24895 := $(((-(2)-C(4))-C((8+9)))\times(-5))$
24925 := $(((C(2)+C(4))+C((9+C(2))))\times 5)$
24929 := $((C(2)\times((C(4)-9)^2))+C(9))$
24950 := $((C(C(2))-(4+9))\times 50)$
24953 := $((C(C(2))\times 49)-(5\times C(3)))$
24965 := $((C(C(2))+C(4))+C((-(96)+C(5))))$
24968 := $(C(2)\times(49-(-(6)\times C(8))))$
24976 := $-((C(C(2))-((C(-((4-9)))-(7))\times C(6))))$
24982 := $-((C(2)-(49\times(C(8)-2))))$
24994 := $((C(C(2))\times 49)-(94))$

25024 := $(((C(C(2))\times 50)-C(C(2)))-C(4))$
25084 := $((C(C(2))\times 50)-(C(8)+(4)))$
25088 := $((-((2-50))\times C(8))+C(8))$
25137 := $((((C(2)+C(5))\times(-1))\times C(3))\times(-7))$
25250 := $((C(C(2))-(5+2))\times 50)$
25255 := $-((C(C(2))+((C(52)-C(55)))))$
25257 := $((C(C(2))\times((5\times 2)\times 5))-C(7))$
25262 := $(-(2)+(((C(5)-C(2))\times C(6))-C(2)))$
25265 := $(-(2)+(((C(5)-C(2))\times C(6))-(5)))$
25267 := $(2+(((C(5)-C(2))\times C(6))-(7)))$
25269 := $(-(2)-((C(5)\times(C(2)-C(6)))+C(9)))$
25272 := $((C(2)+C((5+2)))\times 72)$
25277 := $((-(C(2))-((5+C(C(2)))\times(-7)))\times 7)$
25284 := $(((2+5)^2)\times(C(8)+(4)))$
25298 := $((((2^5)+2)\times C(9))+C(8))$
25327 := $(C((25+3))+C((C(2)+(7))))$
25344 := $((-(C(2))+C(((5-3)+C(4))))-C(C(4)))$
25348 := $(2\times((-(5)+C((C(3)-(4))))+C(8)))$
25353 := $((C((C(2)+(5)))-C((C(3)-(5))))\times(-3))$
25368 := $-((C(2)-((C(5)-3)\times(C(6)-8))))$
25373 := $((C(C(2))\times(C(5)-37))-C(C(3)))$
25375 := $((((2^5)-3)\times 7)\times C(5))$
25389 := $(C((2\times 5))+C((38-9)))$
25392 := $(((2-C(5))+C(C(3)))+C((9\times 2)))$
25398 := $(((C(2)-C(5))+C(C(3)))+(C(9)\times 8))$
25433 := $(((-(2)\times C(5))\times(4-C(3)))+C(C(3)))$
25434 := $(((-(2)\times C(5))-C(4))\times(-(3^4)))$
25475 := $((C(2)+(C((5+4))\times(-7)))\times(-5))$
25489 := $(((C(C(2))-(C(5)))\times C(4))-(8-C(9)))$
25497 := $(2-(-(5)\times(-(4)-(C(9)\times(-7)))))$
25507 := $(((C(C(2))+(5))\times 50)-C(7))$
25512 := $(C(C(2))+((5^5)\times C((1\times 2))))$
25523 := $((C(2)+C(((5+5)+C(2))))+C(C(3)))$
25528 := $((C(2)\times((5^5)+2))+C(8))$
25536 := $((C(2)+C(5))\times((5+C(3))\times 6))$
25544 := $(C(2)\times(((5^5)+4)+C(4)))$
25550 := $((C(C(2))-(5/5))\times 50)$
25552 := $(C(C(2))+(((5^5)+5)\times C(2)))$
25569 := $(((-((2\times 5))+C(5))\times C(6))+C(9))$
25576 := $(C(2)\times(C((5+5))+C((7+6))))$
25592 := $((C(C(2))\times(5+(5\times 9)))-C(2))$
25595 := $((C(C(2))\times(5+(5\times 9)))-(5))$

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$25598 := (-(2) - (-((5 + (5 \times 9))) \times C(8)))$
$25623 := (-(2) + (C(5) \times ((C(6) - C(2)) - 3)))$
$25625 := ((((2 - 5) + C(6)) - C(2)) \times C(5))$
$25633 := (-(C((2^5))) - ((-(C(6)) + C(C(3))) \times (-3)))$
$25650 := ((C(C(2)) - ((5 - 6))) \times 50)$
$25657 := -(((C((2 \times 5)) - C((6 \times 5))) + C(7)))$
$25664 := ((C(C(2)) \times (56 - 6)) + C(4))$
$25725 := ((-((2 - 5)) \times C(7)) \times 25)$
$25726 := (2 + ((C(5) - (7)) \times (2 + C(6))))$
$25727 := (2 + (-(5) \times ((-(7) - C(2)) \times C(7))))$
$25728 := (C(2) \times (((-(5) + C(7)) \times C(2)) + C(8)))$
$25729 := ((C(2) \times (5^{7-2})) + C(9))$
$25732 := ((C((2 \times 5)) + C(7)) + C((C(3) + 2)))$
$25735 := ((-(2) + ((5 \times C(7)) \times (-3))) \times (-5))$
$25757 := ((2^5) + (75 \times C(7)))$
$25759 := -((C(C(2)) - (C(((5 \times 7) - 5)) - C(9))))$
$25839 := ((((2 - C(5)) \times (-8)) \times C(3)) - C(9))$
$25850 := ((2 \times C(5)) + (C(8) \times 50))$
$25852 := -((C(C(2)) - ((5 - C(8)) \times (-52))))$
$25863 := -((C(C(2)) + (C(5) \times ((8 - C(6)) - 3))))$
$25865 := (C(2) + ((C(5) - 8) \times (C(6) + (5))))$
$25875 := (((25 \times 8) + 7) \times C(5))$
$25922 := (2 - (-(5) \times ((9 \times C(2))^2)))$
$25935 := ((C((2 \times 5)) + C(9)) \times (3 \times 5))$
$25984 := ((C(2) \times (C((5 + 9)) + C(8))) - C(4))$
$25986 := (2 + ((C(5) - 9) \times (8 + C(6))))$
$25992 := (-(C(2)) + (-(C(5)) \times ((9 - C(9)) + C(C(2)))))$
$25994 := ((-(2) \times C(5)) + (C(9) \times (9 \times 4)))$
$25998 := (-(2) + (C(5) \times ((-(9) + C(9)) - C(8))))$
$26104 := (26 \times (C(10) + (4)))$
$26113 := (((-(2) + C(6))^{1+1}) - C(C(3)))$
$26125 := ((((2 + C(6)) - 1) - C(2)) \times C(5))$
$26144 := (C(2) + (C(6) \times (C((1 + 4)) - (4))))$
$26158 := ((C(C(2)) - (61)) \times 58)$
$26196 := ((C(2) + (-(6) \times C((1 \times 9)))) \times (-6))$
$26232 := (2 \times (-(6) - (-(2) \times (3^{C(2)}))))$
$26236 := -((C(2) - ((6^2) \times (3^6))))$
$26237 := (C(C(2)) + (((6 \times C(2)) + C(3)) \times C(7)))$
$26238 := (((-(2) + C(6)) \times C((2 + 3))) - C(8))$
$26244 := (((26 - C(2))^4)/4)$
$26246 := (2 + (C((C(6)/(C(2) - (4))))/6))$
$26269 := ((-(2) + C(((6^2) - 6))) - C(9))$
$26272 := -(((C(C(2)) + C(6)) - C(((C(2) + (7)) \times 2))))$
$26279 := ((C(2) + C(-((6 \times (2 - 7))))) - (C(9)))$
$26312 := ((C(C(2)) - (6)) \times ((C(3) - 1) \times 2))$
$26322 := ((-(2) + C(6)) \times (C((3 + 2)) - 2))$
$26329 := (((-(2) + (6 \times C(3)))^2) + C(9))$
$26344 := (2 \times ((C(6) \times (-(3) + C(4))) - (4)))$
$26346 := (((2 \times C(6)) \times (-(3) + C(4))) - (6))$
$26375 := ((2 + ((6^3) - 7)) \times C(5))$
$26384 := (C(2) \times ((6 \times (C(3) + C(8))) + C(4)))$
$26424 := ((C((26 + 4)) - C(C(2))) - C(4))$
$26430 := -((C(C(2)) - ((6 - C(4)) + C(30))))$
$26432 := ((C(2) + C(6)) \times (C(4) + (C(3) \times 2)))$
$26433 := (((C(2) - C(6)) + C(43))/3)$
$26482 := -((C(C(2)) - (-(6) + C(((4 \times 8) - 2)))))$
$26484 := ((C((26 + 4)) - C(8)) - (4))$
$26488 := (C(((26 - 4) + 8)) - C(8))$
$26494 := (-((C(C(2)) - (6))) + C(-((C(4) - (94)))))$
$26496 := ((2 \times 64) \times (-(9) + C(6)))$
$26512 := (-(((C(2) - C(6)) \times C(5))) + C(C((1 \times 2))))$
$26521 := (((2 + C(6)) \times C(5)) - C((C(2) + 1)))$
$26523 := (((C(2) + C((6 \times 5))) - C(C(2))) + C(3))$
$26526 := ((((-(2) + C(6)) \times C(5)) - C(2)) - C(6))$
$26529 := ((((2 + C(6)) \times C(5)) + C(2)) - C(9))$
$26536 := ((C((C(2) + (6 + 5))) + C(C(3))) - (6))$
$26546 := -((C(C(2)) - ((C((6 \times 5)) + C(4)) - (6))))$
$26553 := ((C(C(2)) - (6 + 5)) \times 53)$
$26564 := (((-(2) \times C(6)) + C((5 \times 6))) - (4))$
$26566 := (((-(2) - C(6)) + C((5 \times 6))) - C(6))$
$26596 := ((2 + C(6)) \times (C(5) - (9 - 6)))$
$26621 := ((C(26) - C(6)) + C(21))$
$26624 := ((((-(2) + C(6)) - (6)) \times 2) \times C(4))$
$26625 := ((((-(2) \times C(6)) + (6))/(-2)) \times C(5))$
$26629 := (C(C(2)) + (C((6 + 6)) + C(29)))$
$26643 := ((C(2) \times (6 - (C(6) \times (-4)))) + C(C(3)))$
$26653 := (((C(2) + C(6)) \times (-(6) + C(5))) - 3)$
$26654 := (C(C(2)) + (6 + (C(6) \times (C(5) - (4)))))$
$26656 := (((2 + 6) + C(6)) \times (C(5) - (6)))$
$26657 := (C((((2 \times 6) - 6) \times 5)) - C(7))$
$26673 := ((C(C(2)) + C(((6 \times 6) + 7)))/3)$
$26688 := (C(2) \times (C(6) - (-(6) \times (8 + C(8)))))$
$26697 := ((C(C(2)) \times 6) - (C((6 + 9)) \times (-7)))$
$26723 := (((-(2) + C(6)) \times C((7 - 2))) - C(3))$

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$26729 := -((((C(2) - C(6)) \times C((7-2))) - C(9)))$
$26733 := (-(267) + C((C(3)+3)))$
$26744 := (2 \times (((C(6) - (7)) \times C(4)) - (4)))$
$26746 := ((2 \times ((C(6) - (7)) \times C(4))) - (6))$
$26752 := (-(2) + ((6 \times C(7)) \times (5 + C(2))))$
$26760 := (2 \times ((C(6) + (7)) \times 60))$
$26764 := (2 \times (6 - ((7 - C(6)) \times C(4))))$
$26768 := (C(2) \times (((C(6) + C(7)) \times 6) - 8))$
$26775 := (((C(2) + (6)) + C(7)) \times 75)$
$26782 := ((-(2) - C(6)) + C(((7+8) \times 2)))$
$26823 := (((C(2) + (6)) \times (C(8) - 2)) + C(C(3)))$
$26837 := (C(((C(2) - C(6))/(-8))) + C((3 \times 7)))$
$26875 := (((26 \times 8) + 7) \times C(5))$
$26919 := ((C(C(2)) \times (6 \times 9)) + (-(1) \times C(9)))$
$26924 := (-(C(C(2))) - (C((C(-((6-9))) - C(2))) \times (-4)))$
$26928 := ((C(2) \times (C((6+9)) - C(2))) - 8)$
$26933 := ((2 - 69) + C((C(3)+3)))$
$26934 := ((-(2) + C((-((6-9)) + C(3)))) - C(4))$
$26936 := ((2^{6+9}) - C((3 \times 6)))$
$26944 := ((C(2) + C((6 \times (9-4)))) - C(4))$
$26950 := (C((2 \times (6+9))) - (50))$
$26952 := ((C(2) \times (C((6+9)) - (5))) - C(2))$
$26954 := ((26 \times C(9)) + C((5 \times 4)))$
$26955 := ((C(2) \times (C((6+9)) - (5))) - (5))$
$26958 := (-(2) - ((C((6+9)) - (5)) \times (-8)))$
$26965 := (-((26+9)) + C((6 \times 5)))$
$26968 := (((2-6) + C((9+6))) \times 8)$
$26973 := (C((C(2) + ((6+9)+7))) - C(3))$
$26978 := (2 \times (C((C(6)/9)) - ((C(7) - 8))))$
$26982 := (((2 - C((6+9))) \times (-8)) - 2)$
$26984 := ((-(2) + C((6+9))) \times C((8/4)))$
$26986 := (C((2 \times (6+9))) - (8+6))$
$26989 := (-(2) + ((C((6+9)) \times 8) - 9))$
$26991 := (C((2 \times (6+9))) - (9 \times 1))$
$26992 := (C((((2 \times 6) + 9) + 9)) - C(2))$
$26995 := (C((((2 \times 6) + 9) + 9)) - (5))$
$26998 := (-(2) + (C((69-9))/8))$
$26999 := (C((2 \times (6+9))) - (9/9))$
$27056 := ((C(2) \times 7) + C((05 \times 6)))$
$27064 := (C(((2-7) \times (0-6))) + C(4))$
$27125 := (C((((2 \times 7) + 1) \times 2)) + C(5))$
$27132 := ((C((2 \times 7)) - 1) + C((C(3)+2)))$
$27133 := (C((2 \times 7)) + C((-((1-3)) + C(3))))$
$27136 := ((2^7) \times (-((1+3)) + C(6)))$
$27216 := (((2^7) - 2) \times C((1 \times 6)))$
$27231 := ((C(C(2)) \times (-(7-2))) + (C(31)))$
$27232 := ((C((C(2) + (7))) + (2 + C(3))) \times C(2))$
$27240 := (((C(C(2)) - C(7)) + C(C(2))) \times 40)$
$27256 := (((2^7) \times 2) + C((5 \times 6)))$
$27262 := (C(C(2)) + (C((7-2)) \times (C(6) - 2)))$
$27265 := ((C(2) + (7)) + ((2 + C(6)) \times C(5)))$
$27285 := ((C(C(2)) \times (7^2)) + C((8+5)))$
$27328 := ((C(2) \times 7) \times ((-(3) \times C(2)) + C(8)))$
$27334 := (((C(C(2)) - (7)) \times (C(3) + C(3))) + C(4))$
$27335 := -(((C(2) - C(7)) - C(((3+3) \times 5))))$
$27339 := ((C(C(2)) + (7 \times C(3))) \times 39)$
$27341 := ((-(2) + C(7)) + C((C(3) + (4-1))))$
$27343 := (C((27+3)) + C((4+3)))$
$27347 := ((C((27+3)) + (4)) + C(7))$
$27348 := (((C(2) \times 7) - 3) \times (4 + C(8)))$
$27352 := (((C(C(2)) + C(7)) \times (C(3) + (5))) - C(2))$
$27355 := (((C(C(2)) + C(7)) \times (C(3) + (5))) - (5))$
$27363 := ((C(C(2)) \times ((7 \times 3) - 6)) + C(C(3)))$
$27369 := (((C(C(2)) - C(7)) \times (C(3) \times 6)) - 9)$
$27376 := (C(2) \times (-(7) + (C(3) \times (C(7) - C(6)))))$
$27378 := ((C(2) + ((7^3))) \times 78)$
$27384 := ((C(2) \times (-7)) \times ((C(3) - C(8)) - (4)))$
$27392 := ((2^7) \times ((-(3) + C(9)) - C(C(2))))$
$27423 := (((C(2) + (7)) \times (4 + C(C(2)))) + C(C(3)))$
$27424 := (((C(C(2)) + C(7)) \times (C(4)/2)) + C(4))$
$27432 := ((-(C(2)) + C(((7+4) + C(3))))/2)$
$27434 := (-(2) + (C((7 + (4 \times 3))) \times 4))$
$27440 := ((C((2 \times 7))/4) \times 40)$
$27442 := (2 + (C(7) \times (C(4) + ((4^2)))))$
$27448 := ((C((2 + (7 \times 4))) - C(4)) + C(8))$
$27456 := (C(2) + ((7 \times C(4)) + C((5 \times 6))))$
$27485 := (C(2) - ((-(7) - C(4)) \times (C(8) - C(5))))$
$27496 := -((C(2) \times (C(7) - (4 \times (C(9) + C(6))))))$
$27512 := (C(C(2)) + C(((7 \times (5-1)) + 2)))$
$27523 := (((C(C(2)) + ((C(7) + C(5)))) \times C(2)) + C(C(3)))$
$27546 := ((C(C(2)) - (7 \times C((5+4)))) \times (-6))$
$27549 := (((-((2-7))^5) - C(4)) \times 9)$
$27561 := ((2 \times C(7)) + (C(5) \times (C(6) - 1)))$
$27568 := (((C(2) \times 7) + C((5 \times 6))) + C(8))$
$27584 := (((-(2) \times C((7+5))) \times (-8)) - C(4))$

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27621 := $(((2^7) \times C(6)) - C((2+1)))$
27623 := $((((2^7) \times C(6)) + 2) - C(3))$
27624 := $(((2^7) \times C(6)) - (24))$
27629 := $(((C(2) + (7)) \times C(6)) + C(29))$
27634 := $(2 \times (-(7) - (-((6^3)) \times C(4))))$
27642 := $(((2^7) \times C(6)) - (4+2))$
27646 := $(((2^7) \times C(6)) + ((4-6)))$
27648 := $((2 + ((7+6) \times 4)) \times C(8))$
27653 := $(-((2-7)) + (C(6) \times (C(5)+3)))$
27657 := $-((C(C(2)) + (C(7) - (C(6) \times (C(5) + (7))))))$
27662 := $((((2^7) \times C(6)) + (6)) + C(2))$
27683 := $((((2^7) \times C(6)) + 8) + C(3))$
27684 := $((2+7) \times ((6 \times C(8)) + (4)))$
27729 := $(C((2 + ((7+7) \times 2))) + C(9))$
27746 := $(2 \times ((7 \times 7) + C((4 \times 6))))$
27755 := $(C(C(2)) + (-(7) + ((C(7) - C(5)) \times C(5))))$
27776 := $((2^7) \times ((7/7) + C(6)))$
27783 := $((-(2) \times C(7)) - (C(7) \times (-83)))$
27792 := $(((C((2+7)) - C(7)) \times 9) \times C(2))$
27795 := $(-(2) - (-(7) \times (C((7+9)) - C(5))))$
27797 := $((C(-((2-7))) - C((7+9))) \times (-7))$
27817 := $((C(C(2)) \times ((7 \times 8) - 1)) - C(7))$
27864 := $(((-(2) \times C((7+8))) - C(6)) \times (-4))$
27875 := $(((27 \times 8) + 7) \times C(5))$
27945 := $((2 + C(7)) \times (9 \times (4+5)))$
27969 := $((((-(2) - C(7)) \times C(9)) - C(6))/(-9))$
27973 := $((C(C(2)) \times 7) + C(((9-7) + C(3))))$
27974 := $(((C(2) - C(7)) + C(9)) \times (7 + C(4)))$
28072 := $-((C(2) - (80 \times (C(7) + C(2)))))$
28078 := $(-(2) - (-(80) \times (C(7)+8)))$
28125 := $((((2 \times 8) - 1)^2) \times C(5))$
28165 := $((C(-((2-8))) - 1) \times (6 + C(5)))$
28203 := $(((C(2) + C(8)) + C(20)) + C(C(3)))$
28217 := $((((C(2) - C(8)) \times C(2)) + 1) \times (-7))$
28232 := $(C(2) + (((C(8) - C(2))/3)^2))$
28249 := $(((C(C(2)) - (82)) \times C(4)) + (C(9)))$
28272 := $((((2 + C(8)) \times C(2)) \times 7) - C(C(2)))$
28323 := $((((2 \times C(8)) + C(3)) - 2) \times C(3))$
28324 := $(((C(2) + C(8)) + (3^{C(2)})) \times 4)$
28333 := $((2 + C((8+3))) + C((C(3)+3)))$
28334 := $(2 \times (C((8 \times 3)) + C((3+4))))$
28439 := $(C(2) + (((8+4) + C(3)) \times C(9)))$
28448 := $((C(2) - C((8-4))) \times (4 - C(8)))$
28456 := $((28 \times (4^5)) - C(6))$
28474 := $(-(2) - (-(84) \times (C(7) - (4))))$
28476 := $(((C(2) - C(8)) \times (4 - C(7)))/6)$
28477 := $(C(2) + ((84 \times C(7)) - C(7)))$
28512 := $(C(-((2-8))) \times ((C(5) - 1) + C(2)))$
28575 := $((-((2^8)) - C(5)) \times (-75))$
28576 := $((C(2) \times 8) + ((C(5) + (7)) \times C(6)))$
28593 := $((C((2+8)) + (59)) \times C(3))$
28624 := $-((C(2) \times ((C(8) + (6)) - C((2^4)))))$
28625 := $(((2^8) - C((6/2))) \times C(5))$
28643 := $(((C(C(2)) - (-(8) \times C(6))) \times 4) + C(C(3)))$
28648 := $(C((2+8)) - ((C(6)/(-4)) \times C(8)))$
28657 := $((((2 \times 8) + C(6)) \times C(5)) - C(7))$
28671 := $((C(((2+8)+6)) \times 7) - 1)$
28672 := $(C((2 \times 8)) \times ((6-7) + C(2)))$
28674 := $(2 + (((8^6) \times 7)/C(4)))$
28688 := $((2 + ((C(8) \times 6) + C(8))) \times 8)$
28704 := $(C(2) \times ((C(8) \times 7) - (0-4)))$
28721 := $((C((2 \times 8)) + (7)) \times (C(2) - 1))$
28726 := $(-(2) - ((-(8) - C((7-2))) \times C(6)))$
28728 := $((C(2) - C(8)) \times (-((7^2) + 8)))$
28752 := $(C(2) \times ((C(8) \times 7) + (5 \times 2)))$
28776 := $(C(2) \times ((C(8) \times 7) + (7+6)))$
28782 := $(((2 + C(8)) \times (7 \times 8)) - 2)$
28784 := $(((2 + C(8)) \times 7) \times C((8/4)))$
28791 := $((C(2) \times (C(8) + (C(7) \times 9))) - 1)$
28792 := $(C((2 \times 8)) + ((C(7) \times 9) \times C(2)))$
28811 := $(C(28) + C((8+11)))$
28819 := $((C(28) + 8) + C(19))$
28864 := $(C(28) + ((-(8) \times C(6)) \times (-4)))$
28875 := $(((28 \times 8) + 7) \times C(5))$
28952 := $((C(-((2-8))) \times (9 + C(5))) + C(2))$
28963 := $-((C(C(2)) + ((C((8+9)) \times (-6)) + 3)))$
28968 := $(2 - ((C((8+9)) \times (-6)) + C(8)))$
29115 := $(((C(2) \times (C(9) - 1)) - 1) \times 5)$
29120 := $(2 \times ((C(9) - 1) \times 20))$
29125 := $(((C((2 \times 9)) + 1) - C(2)) \times 5)$
29135 := $(((C(2) \times (C(9) - 1)) + 3) \times 5)$
29145 := $((C((2 \times 9)) + ((1-4))) \times 5)$
29152 := $((C((2 \times 9)) \times (1 \times 5)) - C(2))$
29155 := $((C((2 \times 9)) \times (1 \times 5)) - (5))$

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29158 := $(-(2)-(C(9)\times(-((1\times 5)\times 8))))$
29174 := $((C(C(2))-9)\times((1-7)+C(4)))$
29184 := $((2^{9})\times((1-8)+C(4)))$
29234 := $(2\times((C(9)+C((C(2)\times 3)))+C(4)))$
29247 := $(C(C(2))-((9+C((2^{4})))\times(-7)))$
29248 := $(C(2)\times(((9+C(C(2)))-C(4))\times 8))$
29272 := $((C((29+2))-(7))-C(C(2)))$
29275 := $((((-(2)-C(9))\times C(2))-(7))\times(-5))$
29279 := $(C((29+2))-C(C(-((7-9)))))$
29296 := $(C((C(2)+9))+((C(29)-(6))))$
29302 := $(C((C(2)+9))+C((C(3)+02)))$
29315 := $((C((2\times 9))+(31))\times 5)$
29316 := $((C((C(2)+9))-C(3))\times(1\times 6))$
29329 := $(C((C(2)+9))+((C(3)+C(29))))$
29335 := $(((C(2)+C((-(9)+C(3))))+C(3))\times 5)$
29342 := $((C(2)+9)\times(C((3\times 4))-2))$
29345 := $(((C((2\times 9))-C(3))+C(4))\times 5)$
29368 := $(C(2)\times(((-C(9))+C(C(3)))/6)+C(8)))$
29376 := $(((2\times C(9))\times(C(3)-(7)))+C(6))$
29377 := $-((C(C(2))-((C(9)\times(C(3)+(7+7))))))$
29425 := $((C(C(2))+((C(9)-C(4))))\times 25)$
29436 := $((C((C(2)+9))-(4+3))\times 6)$
29437 := $((-((2+9))+C((4+C(3))))-C(7))$
29439 := $-(((C(-((2-9)))-C((4+C(3))))+9))$
29453 := $(((C((2\times 9))+C(4))\times 5)-C(3))$
29455 := $(((C((2\times 9))+C(4))-(5))\times 5)$
29462 := $(((C((C(2)+9))-(4))\times 6)+C(2))$
29464 := $(-(((2^{9})-4))\times(6-C(4)))$
29466 := $((C((C(2)+9))+((4-6)))\times 6)$
29486 := $(C(2)-(C((9+(C(4)/8)))\times(-6)))$
29529 := $((-((C(2)-C(9)))-(-(5)\times C(C(2))))\times 9)$
29535 := $((C((2\times 9))\times 5)-(-(3)\times C(5)))$
29547 := $((C(C(2))+((C(9)\times 5)+C(4)))\times 7)$
29568 := $((-((2-9))+C(5))\times(C(6)+8))$
29573 := $(C(29)+(C((5+7))\times 3))$
29574 := $(C(C(2))-((C(9)-C(((5\times 7)-4)))))$
29625 := $(((29+C(6))-C(2))\times C(5))$
29641 := $(-(2)+((C(9)-(6))\times 41))$
29642 := $(((C(C(2))+9)\times(-6))+C((C(4)/2)))$
29645 := $((29+C(6))\times(-(4)+C(5)))$
29649 := $(((C((C(2)+9))-C(6))+C(C(4)))/9)$
29672 := $(C(C(2))-(C(9)\times(-((6\times 7)-2))))$
29686 := $(((C((C(2)+9))\times 6)-(8-C(6)))$
29697 := $((C(C(2))+9)\times(-(6-(9\times 7))))$
29706 := $(((C(C(2))\times 9)+C(7))\times 06)$
29723 := $((C(C(2))\times(9+(7^{2})))+C(3))$
29760 := $((C(C(2))-(9+7))\times 60)$
29763 := $((-((2\times 9))\times C(7))+C((6+C(3))))$
29777 := $(C(((C(C(2))-(C(9)))/(-7)))-(7+7))$
29791 := $C((((29-7)+9)\times 1))$
29792 := $((C(((2\times 9)+7))-C(9))\times 2)$
29795 := $(C(((C(C(2))-(C(9)))/(-7)))+(9-5))$
29799 := $((C(2)\times((9\times C(7))+C(9)))-C(9))$
29832 := $((((-(2)-C(9))-C(8))\times(-3))\times C(2))$
29849 := $(-((C(2)-C(9)))+((-(8)-C(C(4)))/(-9)))$
29853 := $(((2\times C((9+8)))+C(5))\times 3)$
29865 := $(C(C(2))-((C((9+8))\times(-6))+C(5)))$
29875 := $(((29\times 8)+7)\times C(5))$
29877 := $(C(29)-(-(8)\times(C(7)+C(7))))$
29923 := $((C(C(2))\times((9+9)+2))+C(C(3)))$
30134 := $(C((30+1))+C((3+4)))$
30137 := $((C((30+1))+3)+C(7))$
30272 := $(((-(C(30))+C(C(2)))/(-7))\times C(2))$
30372 := $((C(30)-3)+C((7+C(2))))$
30375 := $(C(30)+C(((3+7)+5)))$
30378 := $((C(30)+3)+C((7+8)))$
30477 := $(C((C(3)-(0-4)))+(C(7)+C(7)))$
30493 := $(C((C(3)-(0-4)))+(C(9)-C(3)))$
30625 := $(((C(3)+C(06))+2)\times C(5))$
30844 := $(((-(30)+C(8))\times C(4))-(4))$
30848 := $((-(30)+C(8))\times C(-((4-8))))$
30875 := $(((30\times 8)+7)\times C(5))$
30887 := $((C(30)+C(8))+C((8+7)))$
31034 := $((C((C(3)+10))-C(C(3)))+C(4))$
31116 := $((C(31)+C(11))-(6))$
31122 := $(C(31)+C(((1+2)+C(2))))$
31123 := $((C(31)+1)+C((C(2)+3)))$
31125 := $((C((C(3)-(1+1)))\times 2)-(C(5)))$
31213 := $(C((C(3)+1))+(21^{3}))$
31221 := $(C((C(3)+1))+(C(2)+C(21)))$
31223 := $((C((C(3)-(1\times 2)))\times 2)-C(3))$
31232 := $((-(3)\times C(C((1\times 2))))+C(32))$
31234 := $((3-1)-(C(C(2))\times(3-C(4))))$
31235 := $((3\times(1-C(C(2))))+C((C(3)+(5))))$

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31242 := $((C((C(3)-(1\times 2)))-(4))\times 2)$
31249 := $(C(31)-((2-4)\times C(9)))$
31262 := $((C((C(3)-(1\times 2)))+(6))\times 2)$
31265 := $((-(31)+C(C(2)))\times 65)$
31338 := $((C(C(3))+C(((-(1)+C(3))-3)))-C(8))$
31432 := $((3\times C((-((1+4))+C(3))))-C(C(2)))$
31449 := $((C(C((3-1)))\times (C(4)-(4)))+(C(9)))$
31464 := $(C((C(3)-1))+((C(4)+C((6\times 4)))))$
31524 := $((C(31)+(5))+C((C(2)+(4))))$
31577 := $(C((C(3)+1))-(C(5)\times(-77)))$
31625 := $(-((3-(16^2)))\times C(5))$
31634 := $((C(C(3))+(-(1)\times C(6)))+C((C(3)-(4))))$
31723 := $(C(C(3))+((1+C(7))\times (C(2)+C(3))))$
31742 := $((3\times(1-C(7)))+C((C(4)/2)))$
31744 := $((C((3+17))-C(4))\times 4)$
31843 := $((C(C(3))+((1-8)))+C((-(4)+C(3))))$
31849 := $(C(C(3))+(-(1)+C(((8\times 4)-9))))$
31872 := $(C((3+1))\times (C(8)-(7\times 2)))$
31875 := $(((31\times 8)+7)\times C(5))$
31937 := $((3\times C((19+3)))-(7))$
31944 := $((-(3)+C((1\times 9)))\times 44)$
31954 := $((C(3)-1)\times (C(9)-(C(5)\times(-4))))$
32039 := $(C(32)-C(((0\times 3)+9)))$
32044 := $(((C(3)+C(20))\times 4)-C(4))$
32049 := $-((C(3)+((20-C(4))\times C(9))))$
32125 := $((((3+C(C(2)))-1)/2)\times C(5))$
32165 := $(C((C(3)+2))+((1\times 6)^5))$
32192 := $(C(((3+2)-1))\times(-(9)+C(C(2))))$
32224 := $((-(32)-C(C(2)))+C((C(2)\times 4)))$
32227 := $(C((C(3)+C(2)))-C((C(2)+(2\times 7))))$
32228 := $((C(32)-C(C(2)))-28)$
32229 := $(((-(3)-C(C(2)))+C((C(2)+C(2))))\times 9)$
32232 := $(((-(3)\times C(2))-C(C(2)))+C(32))$
32235 := $((C((C(3)+C(2)))+C(2))-C((C(3)-(5))))$
32246 := $((C(32)-C(C(2)))-(4+6))$
32248 := $((C(32)-C((2\times 4)))-8)$
32251 := $((C(32)-C(C(2)))-(5\times 1))$
32253 := $((-(3)-C(C(2)))+((2^5)^3))$
32255 := $((C(32)-C(C(2)))-(5/5))$
32256 := $(((3\times C(2))^2)\times 56)$
32259 := $((3-C(C(2)))+C((C(2)\times(-(5-9)))))$
32261 := $((C(32)-C(C(2)))+(6-1))$
32262 := $((C(((3\times C(2))+C(2)))+(6))-C(C(2)))$
32264 := $((C(32)+C(2))-C(C((6-4))))$
32268 := $((C(32)+(2\times 6))-C(8))$
32277 := $((3+(C(C(2))\times(2+7)))\times 7)$
32283 := $((C(3)-C(C(2)))+C((2^{8-3})))$
32285 := $((C(3)-C(C(2)))+(2+(8^5)))$
32292 := $(((C((C(3)-2))+C(C(2)))+9)\times 2)$
32297 := $(C(3)+((-(2)-(C(C(2))\times 9))\times(-7)))$
32336 := $((C(32)-C((3+3)))-C(6))$
32347 := $((C(32)+C(3))-(C(4)\times 7))$
32358 := $(C(C(3))+((-(2)+C(3))\times(-(5)+C(8))))$
32362 := $(C(C(3))+((C(23)+C((6+2)))))$
32368 := $(C(C(3))+(((C(23)+(6))+C(8))))$
32379 := $(((C(32)-3)+C(7))-C(9))$
32384 := $(C(32)-384)$
32387 := $((C(32)-38)-C(7))$
32389 := $(C((C(3)+2))+(C(((3+8)+9))))$
32392 := $(((C(C(3))-C((-(2)+C(3))))-9)\times C(2))$
32421 := $((C(32)-(4))-C((C(2)-1)))$
32424 := $(((3+C(C(2)))+C(4))\times(-(C(2)-C(4))))$
32425 := $(C(32)-C(((4-2)+5)))$
32427 := $((C(32)+(4-2))-C(7))$
32429 := $((C(32)+(4))-C(-((2-9))))$
32432 := $(((C((C(3)-2))+(4))-C(C(3)))\times(-C(2)))$
32437 := $((C(32)+(4\times 3))-C(7))$
32445 := $((-(3)-C(C(2)))\times((-(4)-C(4))+(5)))$
32448 := $((-((3+2))\times C(4))+C((4\times 8)))$
32451 := $(((3-C(C(2)))\times(-C(4)))+(C(5)\times(-1)))$
32452 := $((C(3)+C((C(2)\times 4)))-(C((5+2))))$
32457 := $((C(3)+C((C(2)\times 4)))+(5-C(7)))$
32464 := $(C((C(3)\times 2))-C((46+4)))$
32468 := $(((C(32)-(4))+C(6))-C(8))$
32472 := $(((3+C(C(2)))-C(4))\times 72)$
32483 := $(C(C(3))+((C(2)\times(C(4)+(C(8)\times 3)))))$
32485 := $(((3^{C(2)})-C(-((4-8))))\times 5)$
32487 := $-((C((3^2))-(C(4)\times(C(8)+(7)))))$
32488 := $(((C(3)-C((2^4)))+8)\times(-8))$
32514 := $(C((C(3)+2))-(C(5)\times(-(1)-C(4))))$
32522 := $(C(32)-((C(5)-2)\times 2))$
32525 := $(C(32)-(((5-2)^5)))$
32528 := $((C(C(3))-(C(25)-C(2)))\times 8)$
32535 := $(C(3)\times(((C(2)\times 5)\times C(3))+C(5)))$

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32552 := $(-(C((3\times 2)))+C((5+C((5-2)))))$
32555 := $((((3^{C(2)})\times 5)-C(5))-C(5))$
32562 := $((C((3+C(2)))-(C(5)))\times C((6/2)))$
32567 := $-((C(C(3))-((2\times C(5))\times (C(6)-(7)))))$
32572 := $(-(((C(3)-C((2^5)))-C(7)))-C(C(2)))$
32576 := $((3-C(C(2)))\times (-C(((5-7)+6))))$
32585 := $((C(32)-(58))-C(5))$
32587 := $((C(32)-C(5))-((8\times 7)))$
32616 := $((((C(3)-2)\times 6)+1)\times C(6))$
32624 := $(C(32)-(6\times 24))$
32625 := $(((3^{C(2)})-((6^2)))\times 5)$
32632 := $((C(32)-(C(6)\times 3))+C(C(2)))$
32633 := $(C(32)-((6\times C(3))-C(3)))$
32635 := $((C(32)-C((6/3)))-C(5))$
32643 := $(C(32)-C(((6-4)+3)))$
32645 := $((C(32)+(6-4))-C(5))$
32649 := $((C(32)+(6))-C(-((4-9))))$
32655 := $(((3^{C(2)})-((6\times 5)))\times 5)$
32677 := $(C(32)-((6+7)\times 7))$
32678 := $(C(32)-(6\times (7+8)))$
32681 := $(C(32)-(6+81))$
32685 := $(((C(32)-C(6))+8)+C(5))$
32687 := $(C(32)+(6-87))$
32693 := $(C(32)-((C(6)+9)/3))$
32696 := $(C(32)-(C(6)/(9-6)))$
32697 := $((((C(3)-2)\times C(6))-C(9))\times 7)$
32704 := $(C(32)-C(((7\times 0)+4)))$
32712 := $(C(32)-(7\times C((1\times 2))))$
32714 := $((C(3)\times (-2))+C(((7+1)\times 4)))$
32723 := $((C(32)-72)+C(3))$
32728 := $(C(32)-(((7-2)\times 8)))$
32729 := $(C(32)-((C(7)+C(2))/9))$
32732 := $(((C(32)-(7))-C(3))-2)$
32734 := $(C((C(3)-(2-7)))-34)$
32736 := $(32\times ((C(7)\times 3)-(6)))$
32739 := $(((C(32)+(7))-C(3))-9)$
32752 := $((C(32)-C((7-5)))-C(2))$
32753 := $(C(32)-((7+5)+3))$
32755 := $((C(32)-C((7-5)))-(5))$
32756 := $(C(32)-((7-5)\times 6))$
32758 := $(C(32)-((7-5)+8))$
32760 := $(((C(3)+C(C(2)))+(7))\times 60)$
32761 := $(C((C(3)-(2-7)))-(6+1))$
32763 := $(C(32)-(7-(6/3)))$
32764 := $(C(32)-((7-6)\times 4))$
32767 := $(C(32)-((7-6)^7))$
32769 := $(C(32)+((7-6)^9))$
32775 := $(C((C(3)-2))+(C(7)+(7^5)))$
32776 := $(C(32)+(((7+7)-6)))$
32784 := $(((3^2)+7)+C((8\times 4)))$
32792 := $((3\times C(2))+C(((7+9)\times 2)))$
32793 := $((C(32)+((7-9)))+C(3))$
32795 := $(C(3)+C(((2^7)/(9-5))))$
32797 := $-((C(3)-(C(2)\times (7+C((9+7))))))$
32803 := $((C(32)+8)+C(03))$
32805 := $((3^{C(2)})\times ((8\times 0)+5))$
32816 := $(C(32)+((8\times 1)\times 6))$
32817 := $(C(32)+((8-1)\times 7))$
32822 := $((C(3)\times 2)+C(((8^2)/2)))$
32823 := $((C(32)+(82))-C(3))$
32824 := $(C(((3\times C(2))+8))-((C(2)-C(4))))$
32825 := $(((3^{C(2)})+(8/2))\times 5)$
32826 := $(C(32)+((8^2)-6))$
32827 := $(3+(C(2)\times (C((8\times 2))+(7))))$
32832 := $((C(3)-C(2))\times C(((8\times 3)/2)))$
32835 := $((3-(C(2)\times (-8)))+C((C(3)+(5))))$
32856 := $(C(32)+((8\times (5+6))))$
32859 := $(-(C(3))\times (C(C(2))+((-(8)\times C(5))-C(9))))$
32862 := $((C(32)+(86))+C(2))$
32875 := $(((32\times 8)+7)\times C(5))$
32883 := $((C(32)+(88))+C(3))$
32885 := $(C((3+2))-(8-(8^5)))$
32886 := $(C(3)\times ((2-C(8))-(-(8)\times C(6))))$
32893 := $(C(32)+C((8-(9/3))))$
32921 := $(C((C(3)+2))-(C(9)-C(21)))$
32924 := $((C(32)+(92))+C(4))$
32952 := $(((-(3)-C(C(2)))\times (-C((9-5))))-C(2))$
32955 := $((-(3)\times C(((2\times 9)-5)))\times (-5))$
32976 := $((C(32)-C((9-7)))+C(6))$
32978 := $(((C(32)+C(9))-(7))-C(8))$
32984 := $(((3\times C(2))\times 9)+C((8\times 4)))$
32993 := $((C(32)+9)+C((9-3)))$
32995 := $(C(C(3))+(C(C(2))\times (-(99)+C(5))))$
33124 := $(((C(3)+C((3+1)))^2)\times 4)$

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33125 := $(C(C(3)) - (-((C(3) - 1)) \times (C(C(2)) + (5))))$
33169 := $((3 + C(31)) + C((6 + 9)))$
33222 := $((C(C(3)) - ((3 \times 2) \times C(C(2)))) \times 2)$
33237 := $(C(C(3)) + (C(3) \times (C(C(2)) - (3 + 7))))$
33245 := $((33 + C(C(2))) \times (-(C(4) - C(5))))$
33253 := $-(((C(3) - C(32)) - C((5 + 3))))$
33258 := $-((((C(3) - C(32)) - (5)) - C(8)))$
33264 := $(C(3) \times (((3 \times 2) \times C(6)) - C(4)))$
33275 := $(C((((3 + 3) \times C(2)) + (7)))/5)$
33291 := $(C(C(3)) - (C(3) \times (C(2) - C((9 - 1)))))$
33292 := $(((3 + C(32)) + 9) + C(C(2)))$
33298 := $(((C(3) + C(32)) - 9) + C(8))$
33327 := $((C((3 + 3)) + C(32)) + C(7))$
33345 := $(((C(C(3))/3) - (C(3) \times (-4))) \times 5)$
33372 := $(C(C(3)) + ((C(3) \times (-3)) \times (C(7) - C(C(2)))))$
33375 := $((-(3) - (C(3) \times (-(3 + 7)))) \times C(5))$
33385 := $(C(C(3)) + ((3 + C((3 \times 8))) - C(5)))$
33416 := $(C(C(3)) - ((C(3) - (C(4) \times (-(1) + C(6))))))$
33443 := $((C(((3 + 3) \times 4)) - C(4)) + C(C(3)))$
33445 := $(((C(C(3))/3) + ((C(4) + C(4)))) \times 5)$
33446 := $(C(C(3)) - ((-(3) + C(4)) - C((4 \times 6))))$
33459 := $(C(3) + ((C((3 + C(4))) + (C(5)))/9))$
33465 := $((3 - ((C(3) + (4)) \times C(6))) \times (-5))$
33483 := $(((-(3) + C((3 \times 4))) \times 8) + C(C(3)))$
33492 := $(3 + (((3 \times C(4)) - 9)^2))$
33497 := $(C((3 \times 3)) + C((C(4)/(9 - 7))))$
33499 := $((C(3) + C(34)) - C((9 + 9)))$
33507 := $(C(C(3)) + C((3 \times C(-((5 - 07))))))$
33512 := $((C((C(3) - 3)) + (5)) + C(C((1 + 2))))$
33513 := $((C((C(3) - 3)) + (5 + 1)) + C(C(3)))$
33528 := $(33 \times ((C(5) + 2) \times 8))$
33529 := $((C(C(3)) + C(C(3))) + (-(5) - C((2 \times 9))))$
33534 := $((C(C(3)) + C(C(3))) - C(((-(5) + C(3)) - (4))))$
33539 := $(((C(C(3)) + C(C(3))) + (5)) - C((C(3) - 9)))$
33555 := $((((C(C(3))/3) + (C(5))) \times 5) + (C(5)))$
33556 := $((C(C(3))/3) - (5 - C((5 \times 6))))$
33559 := $((((C(C(3))/3) + (5)) \times 5) + (C(9)))$
33561 := $((C(C(3))/3) - (C((5 \times 6)) \times (-1)))$
33563 := $((C((C(3) - 3)) + (56)) + C(C(3)))$
33565 := $-((C(3) - ((C(3) + C(5)) \times (C(6) + (5)))))$
33576 := $(3 \times (((C(3) + (5)) \times C(7)) + C(6)))$
33588 := $(C(C(3)) - (C(3) \times ((5 - C(8)) - 8)))$
33595 := $((-(C(3)) + C((C(3) + (5)))) + ((C(9) + C(5))))$
33617 := $(3 - ((C(3) - C((6 - 1))) \times C(7)))$
33623 := $((-(C(3)) + C((C(3) - (6)))) + C((2 + C(3))))$
33625 := $(((C(3) \times (-(3 + 6))) + C(C(2))) \times C(5))$
33633 := $((C((C(3) - 3))/(-6)) + (C(33)))$
33655 := $(C((C(3) + 3)) - (C((6 + 5)) \times (-5)))$
33669 := $((C(C(3)) + (C(3) \times 6)) + C((C(6)/9)))$
33696 := $((3 + ((C(3) \times 6) - 9)) \times C(6))$
33714 := $-((C(C(3)) - ((C(37) + C(14)))))$
33723 := $((C(3) + C(C(3))) + ((7 + C(C(2))) \times C(3)))$
33769 := $((3 - (C(37) \times (-6)))/9)$
33792 := $(-((33 \times (7 - 9))) \times C(C(2)))$
33856 := $((-(3) + C((C(3) - 8))) + (C((5 \times 6))))$
33858 := $(C(C(3)) - (C(3) \times (-((8 + 5)) - C(8))))$
33865 := $(((3 \times 3) + C(8)) \times 65)$
33872 := $((C(C(3)) - (3 - (-(8) \times C(7)))) \times 2)$
33875 := $(((33 \times 8) + 7) \times C(5))$
33957 := $(((C(3) + C(3)) + (9 \times 5)) \times C(7))$
33975 := $(C(33) + (-(9) \times (C(7) - C(5))))$
33993 := $(C(33) + (-(9) \times C((9 - 3))))$
34125 := $(((C(3) + C(4)) \times (1 + 2)) \times C(5))$
34209 := $-((C(3) \times (C(4) - C((2 + 09)))))$
34225 := $(-C(3) + C(4))^2 \times 25$
34227 := $(-(C(3)) + ((C(4) + 2) \times (C(C(2)) + (7))))$
34229 := $((3 + C((C(4)/2))) + (2 \times C(9)))$
34235 := $((-((3 \times 4)) + C(-((C(2) - C(3))))) \times 5)$
34236 := $((C(3) - C((4 + C(2)))) + C((C(3) + (6))))$
34252 := $(((3 + C(4)) \times C(C(2))) - 52)$
34259 := $(((3 + C(4)) \times C(C(2))) - (5 \times 9))$
34263 := $(C(3) \times (((4 + 2) \times C(6)) - C(3)))$
34265 := $((C((3 + (4^2))) - (6)) \times 5)$
34267 := $((C(3) - C(4)) + (C(C(2)) \times 67))$
34273 := $((((C(3) \times 4) - C(2)) \times C(7)) - C(3))$
34276 := $(((3 - C(4)) + C(C(2))) \times 76)$
34288 := $(((3 + C(4)) \times C(C(2))) - ((8 + 8)))$
34295 := $(C((((3 \times 4) - 2) + 9)) \times 5)$
34297 := $(((-(3) - C(4)) \times (-(2^9))) - (7))$
34312 := $(((3 + C(4)) \times C(C((3 - 1)))) + C(2))$
34317 := $(((-(C(3)) - C(C(4))) + C((C(3) + 1)))/(-7))$
34327 := $(C(3) + (((4 \times C(3)) - C(2)) \times C(7)))$
34331 := $(C(3) - (-((C(4) + 3)) \times C(C((3 - 1)))))$
34389 := $(((C(C(3)) - C(4)) + C(C(3))) - (C((8 + 9))))$
34391 := $((3 + 4) \times C((C(3) - (9 + 1))))$

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$34432 := ((C((3 \times 4)) - C(4)) + C(32))$
$34447 := (((C(C(3)) + (4/4))/4) \times 7)$
$34477 := -(((C((-(3) + C(4))) - C(C(4))) + (C(7) + C(7))))$
$34488 := ((C((3 \times 4)) + C((4 \times 8))) - 8)$
$34489 := -((C((C(3) - (4))) - C(-(((4 - 8) \times 9)))))$
$34493 := -(((C((C(3) - (4))) - (4)) - C((9 + C(3)))))$
$34496 := (C((3 \times 4)) + C(-((C(4) - 96))))$
$34533 := (C((3 \times 4)) + ((-(5) \times C(C(3)))/(-3)))$
$34536 := (3 \times (C(4) + (53 \times C(6))))$
$34544 := (((C((3 \times 4)) \times 5) - (4)) \times 4)$
$34557 := (-(3) + ((4 \times 5) \times C((5 + 7))))$
$34574 := ((((C(C(3)) - C(C(4))) - (5))/(-7)) - C(4))$
$34575 := ((-(3) - (4 \times C((5 + 7)))) \times (-5))$
$34623 := ((((C(3) + (4)) \times 6)^2) + C(3))$
$34624 := (((C(3) - ((4 - 6))) + C(C(2))) \times C(4))$
$34625 := -(((C(3) + ((C(4) - C(6)) \times 2)) \times C(5)))$
$34637 := (((C(C(3)) - C(C(4))) + (6/3))/(-7))$
$34647 := (((3 + C(4)) \times C(C((6 - 4)))) + C(7))$
$34668 := (C(3) \times (-(4) - ((C(6) \times (-6)) + 8)))$
$34698 := (C((C(3) + (4))) - (6 - C((9 + 8))))$
$34768 := ((((C(3) - (4)) \times 7) \times C(6)) - 8)$
$34776 := (C(C(3)) - (C(-((4 - 7))) \times (-(C(7) + C(6)))))$
$34835 := (((C(3) \times 4) + C((-(8) + C(3)))) \times 5)$
$34845 := ((-((3 + 4)) + C(8)) \times (C(4) + (5)))$
$34853 := ((C(3) + C(4)) \times (8 - (C(5) \times (-3))))$
$34875 := (((34 \times 8) + 7) \times C(5))$
$34894 := ((34 - C(8)) \times (-(9) - C(4)))$
$34922 := -((C((C(3) - (4))) - ((C(9) - C(C(2)))^2)))$
$34937 := (C(-((3 - (4 \times 9)))) - (C((3 + 7))))$
$34944 := (3 \times ((C(4) - C((9 \times 4)))/(-4)))$
$34965 := (C(3) \times (-((4 \times 9)) + C((6 + 5))))$
$34966 := (C(34) + ((C(9) - (6)) \times (-6)))$
$34968 := ((C(3) + ((-(4) - C(9)) \times 6)) \times (-8))$
$34973 := (-(((C(3) - C(4)) \times C(9))) + C((-(7) + C(3))))$
$34986 := (C((3 + 4)) \times ((9 + 8) \times 6))$
$34992 := (C(3) \times (4 \times ((9 + 9)^2)))$
$35138 := -((C(C(3)) + (51 - C(38))))$
$35152 := (-((3 - 5)) \times C((1 + (5^2))))$
$35183 := (C(C(3)) - (C(5) - C((1 + (8 \times 3)))))$
$35189 := -((C(C(3)) - C(-((51 - 89)))))$
$35199 := (C((C(3) + (5 + 1))) + (-(9) - C(9)))$
$35235 := (-((3^5)) \times ((2 + C(3)) \times (-5)))$
$35242 := (C(C(3)) + (((C((5^2)) - C(4)) - 2)))$
$35244 := (C(C(3)) - (-((5^{2+4})) + C(4)))$
$35254 := (C(C(3)) + ((C((5^2)) - (54))))$
$35256 := (C(C(3)) - (52 - (5^6)))$
$35264 := ((C(3) + C(5)) \times (C(C(2)) - (C(6) + C(4))))$
$35289 := ((C(3) \times (5 \times (2^8))) + C(9))$
$35304 := ((C(C(3)) + C(-((5 - 30)))) - (4))$
$35308 := (C(C(3)) + C(-((5 \times (3 - 08)))))$
$35313 := ((C(C(3)) + (5)) + C((C(3) + ((1 - 3)))))$
$35314 := (-((C(C(3)) - (C(5)))) + C(-(((C(3) - 1) - C(4)))))$
$35323 := ((C(C(3)) + (5 \times 3)) + C((-(2) + C(3))))$
$35325 := ((-(3) + C((5 + C(3)))) + (C(C(2)) \times 5))$
$35328 := (((C(3) \times 5) + 3) \times (2^8))$
$35329 := -((((C(3) - (5)) + C(3)) \times (C(2) - C(9))))$
$35338 := (-(C(3)) + (-(5) \times ((C(C(3))/(-3)) - C(8))))$
$35424 := (C(3) \times (((-(5) \times C(4)) - C(2)) \times (-4)))$
$35456 := ((-(3) - C(5)) \times ((C(4) - C(5)) - C(6)))$
$35475 := ((C(3) + (C(5) \times (-4))) \times (-75))$
$35512 := (C((C(3) + (5))) + C(((5 + 1) + C(2))))$
$35524 := (C(C(3)) + ((C((5 \times 5)) + C((2 + 4)))))$
$35526 := (C(C(3)) + (((C((5 \times 5)) + 2) + C(6))))$
$35576 := (C((C(3) + (5))) - ((C(5) + C(7)) \times (-6)))$
$35624 := ((3 - C(5)) \times ((C(6) - C(C(2))) + (4)))$
$35647 := (C(C(3)) - (-(((5^6) - 4)) - C(7)))$
$35655 := (3 \times (5 + (C(6) \times 55)))$
$35671 := -(((((C(3) - C(5)) - (6)) \times C(7)) + 1))$
$35672 := ((C((3 + 5)) + C(6)) \times (7^2))$
$35692 := ((C(3) \times (C((5 + 6)) - 9)) - 2)$
$35729 := ((3 + 5) - (-((7^2)) \times C(9)))$
$35747 := (-(3) + (C(5) \times ((7 - C(4)) + C(7))))$
$35785 := (-((C(3) + C(5))) + C(-((7 - (8 \times 5)))))$
$35825 := (C(C(3)) - ((-(5) - C(8)) - C(25)))$
$35839 := ((C(3) - C(5)) + C(((8 \times 3) + 9)))$
$35856 := (C(3) \times ((5 - 8) + C((5 + 6))))$
$35875 := (((35 \times 8) + 7) \times C(5))$
$35927 := (C((C(3) + (5))) - (-(9) \times (C(2) + C(7))))$
$35934 := (-(3) + C(((5 \times 9) - (3 \times 4))))$
$35936 := (((3 + 5) - 9) + C((C(3) + (6))))$
$35937 := C(((((3^5) - 9) - 3)/7))$
$35944 := -((C((C(3) - (5))) - ((C((9 \times 4)) - C(4)))))$
$35963 := ((35 - 9) + C((6 + C(3))))$
$35964 := (C(3) + C((C(5) - ((96 - 4)))))$

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$35968 := (((3 - C(5)) - (C(9) \times 6)) \times (-8))$
$35969 := ((C(3) + (5)) + C((9 + (C(6)/9))))$
$35983 := (-(((C(3) \times (C(5) - C(9))) + 8)) + C(C(3)))$
$35991 := (C(3) \times (((C(5) - C(9)) - C(9)) \times (-1)))$

$36035 := (C((C(3) + (6))) - (C(03) - C(5)))$
$36056 := (C((C(3) + (6))) - ((0 - C(5)) + (6)))$
$36125 := ((((3 \times 6) - 1)^2) \times C(5))$
$36126 := (C(3) \times (((C(6) - 1) + C(2)) \times 6))$
$36129 := (C((C(3) + (6))) + (C(12)/9))$
$36141 := (C(C(3)) + (6 \times (C(14) - 1)))$
$36153 := (C((C(3) + (6))) + ((1 + 5)^3))$
$36162 := (C((C(3) + (6))) + ((1 + C(6)) + C(2)))$
$36224 := (((C(3) + C((6/2))) + C(C(2))) \times C(4))$
$36233 := ((C((C(3) + (6))) + C(C(2))) - (C((3 + 3))))$
$36236 := (((3 - C(6)) + C(C(2))) + C((C(3) + (6))))$
$36244 := (((C(3) - (6)) + C(C(2))) \times (C(4) + (4)))$
$36250 := (((-(3) + C(6)) + C(C(2))) \times 50)$
$36253 := (C((C(3) + (6))) + ((C((2 + 5)) - C(3))))$
$36261 := (C(3) \times (((C(6) + C(2)) \times 6) - 1))$
$36271 := (C((C(3) + (6))) - ((C(2) - C(7)) + 1))$
$36272 := (C(-((3 - (6^2)))) + ((C(7) - C(2))))$
$36274 := (C((C(3) + (6))) + ((-(2) + C(7)) - (4)))$
$36275 := (C(-((3 - (6^2)))) + ((C(7) - (5))))$
$36276 := (C((C(3) + (6))) - ((-(2) - C(7)) + (6)))$
$36277 := ((-(3) + C((6 + 27))) + C(7))$
$36279 := (((3 \times C((6 \times 2))) \times 7) - 9)$
$36288 := (C(3) \times ((6 \times 28) \times 8))$
$36297 := (C((C(3) + (6))) + (((C(2) + 9) + C(7))))$
$36307 := (C((C(3) + (6))) + ((C(3) + C(07))))$
$36315 := (C((C(3) + (6))) - (3 \times (-(1) - C(5))))$
$36317 := -((C(C(3)) - (C(((-(6) + C(3)) - 1)) \times 7)))$
$36342 := (C(3) \times (((-(6) + C(3)) \times C(4)) + 2))$
$36344 := (C((C(3) + (6))) + ((C((3 + 4)) + C(4))))$
$36347 := (C((C(3) + (6))) - ((-(3) - C(4)) - C(7)))$
$36352 := ((36 + 35) \times C(C(2)))$
$36366 := (C((C(3) + (6))) - ((3 - C(6)) - C(6)))$
$36369 := ((((C(3) \times 6) + 3) \times C(6)) + C(9))$
$36375 := ((-(C(3)) + C(C((6/3)))) \times 75)$
$36387 := (C(3) + ((C(6)/3) \times (C(8) - (7))))$
$36396 := (C((C(3) + (6))) - ((C(3) \times (-9)) - C(6)))$
$36423 := ((-((C(3) + (C(6) \times (-4)))) + C(C(2))) \times C(3))$
$36448 := (C((C(3) + (6))) - ((4/4) - C(8)))$
$36449 := (C((C(3) + (6))) + C(-(((4/4) - 9))))$
$36450 := (C((36/4)) \times 50)$
$36453 := (C((C(3) + (6))) + (4 + C((5 + 3))))$
$36458 := (C((C(3) + (6))) + ((4 + 5) + C(8)))$
$36480 := (3 \times ((C(6) - C(4)) \times 80))$
$36483 := (3 \times (-(6) + C(((4 - 8) + C(3)))))$
$36498 := (C((C(3) + (6))) - (-(49) - C(8)))$
$36534 := (3 \times ((6 + 5) + C((C(3) - (4)))))$
$36542 := (((C((C(3) - (6))) - (C(5))) \times 4) - 2)$
$36549 := ((((C(3) + (6)) \times C(5)) - C(4)) \times 9)$
$36552 := (C((C(3) + (6))) + (5 \times (C(5) - 2)))$
$36556 := (C((C(3) + (6))) + ((5 \times C(5)) - (6)))$
$36558 := (C(C(3)) + (((C(6) \times 5) \times C(5))/8))$
$36562 := (C((C(3) + (6))) + (5^{6-2}))$
$36568 := (C((C(3) + (6))) + ((C(5) - (6)) + C(8)))$
$36582 := (C((C(3) + (6))) + ((C(5) + C(8)) + C(2)))$
$36624 := (((-(3) \times C(6)) - (6)) \times (C(2) - C(4)))$
$36625 := (((-(3) - C(6)) + C((6 + 2))) \times C(5))$
$36638 := (C((C(3) + (6))) + ((C(6) - C(3)) + C(8)))$
$36639 := -(((C(3) - C(((6 \times 6) - 3))) - C(9)))$
$36672 := (C((C(3) + (6))) + (6 + C((7 + 2))))$
$36675 := ((C(C(3)) - ((6 \times 6) \times C(7))) \times 5)$
$36679 := (C((C(3) + (6))) + ((6 + 7) + C(9)))$
$36693 := (((3 \times (C(6) - (6))) + C(9)) \times C(3))$
$36728 := ((C((3 \times 6)) \times 7) - C((2 \times 8)))$
$36735 := ((-(3) - (C(6) \times (7 + C(3)))) \times (-5))$
$36739 := (C((C(3) + (6))) + (73 + C(9)))$
$36744 := (3 \times ((C(6) \times (-(7) + C(4))) - C(4)))$
$36786 := (C((C(3) + (6))) + ((C(7) + C(8)) - (6)))$
$36792 := ((3 + 6) \times (C((7 + 9)) - C(2)))$
$36828 := (C(3) \times ((C((6 + 8))/2) - 8))$
$36846 := (3 \times (((-(6) \times C(8)) \times (-4)) - (6)))$
$36863 := ((3 - C((6 \times 8)))/(-(6 - 3)))$
$36864 := ((3 + 6) \times C(((8 - 6)^4)))$
$36875 := (((36 \times 8) + 7) \times C(5))$
$36882 := ((3 + 6) \times (C((8 + 8)) + 2))$
$36922 := (C((C(3) + (6))) + ((C(9) + (2^{C(2)}))))$
$36928 := (C((C(3) + (6))) - (9 - C((2 + 8))))$
$36936 := ((3 \times ((6 \times 9) + 3)) \times C(6))$
$36937 := (C((C(3) + (6))) + C(((9/3) + 7)))$
$36944 := (((C((C(3) - (6))) - 9) \times 4) - C(4))$
$36946 := (C((C(3) + (6))) - (-(9) - C((4 + 6))))$

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36962 := $((C(3)\times((C(6)+9)\times 6))+C(C(2)))$
36963 := $((((C(3)\times 6)+9)\times C(6))+C(3))$
37042 := $((C((3\times 7))\times 04)-2)$
37044 := $(C((3\times 7))\times((0\times 4)+4))$
37084 := $((3+70)\times(C(8)-(4)))$
37146 := $((C(3)\times((C(7)+1)\times 4))-(6))$
37184 := $(((C(3)\times(C(7)+1))+8)\times 4)$
37224 := $(((3\times C(7))-C(C(2)))\times(C(2)+C(4)))$
37233 := $(-((3^{7}))+(2\times(C(3)+C(C(3)))))$
37243 := $((((3^{7})\times C(2))+C(4))+C(C(3)))$
37244 := $(((C(3)\times(C(7)+2))-(4))\times 4)$
37248 := $(C((C(3)+(7)))-((C(2)-(-(4)\times C(8)))))$
37252 := $((C(C(3))-(7))+C(((C(2)+(5))\times 2)))$
37256 := $(C((C(3)+(7)))-(2^{5+6}))$
37259 := $(C(C(3))+C((7+((2\times 5)+9))))$
37263 := $(C(C(3))+((7+C(26))-3))$
37287 := $(C(3)\times(C(7)-(-(2)\times(C(8)+(7)))))$
37324 := $((C((C(3)-(7)))+C((3+C(2))))\times 4)$
37326 := $(((-(3)+C(7))-(3^{C(2)}))\times(-6))$
37341 := $(C(3)\times(((C(7)+3)\times 4)-1))$
37349 := $((C(3)-(7+3))\times C((4+9)))$
37368 := $(C(3)\times(((C(7)-C(3))\times 6)-C(8)))$
37379 := $(3+(73\times C(C(-((7-9))))))$
37382 := $(((C((3+7))-C(C(3)))-8)\times(-2))$
37395 := $-((C(3)\times(C(7)-C((3\times(9-5))))))$
37427 := $(-((3\times 7))-((C(C(4))-C(2))/(-7)))$
37440 := $((C((3+7))-C(4))\times 40)$
37448 := $((C(3)\times((C(7)\times 4)-(4)))+C(8))$
37452 := $(((C(3)-(7))+C(C(4)))/(5+2))$
37457 := $(-((3+7))+((C(C(4))+(C(5)))/7))$
37519 := $((-(3)+C(7))-(-(51)\times C(9)))$
37542 := $(((C((3\times 7))+C(5))\times 4)-2)$
37573 := $(C((C(3)+(7)))-((C((5+7))+3)))$
37576 := $(C((C(3)+(7)))-C(-(((5-7)\times 6))))$
37584 := $(C(3)\times((C(7)+(5))\times(8-4)))$
37625 := $((((3\times C(7))-C(6))-C(C(2)))\times C(5))$
37665 := $((C((3\times 7))-C((6+6)))\times 5)$
37764 := $(C((C(3)+(7)))+(-(7)\times(C(6)+(4))))$
37824 := $(((-(37)\times C(8))\times(-2))-C(4))$
37827 := $(((C(C(3))\times(-7))-8)+C((C(2)\times 7)))$
37844 := $((C(3)\times((C(7)+8)\times 4))-C(4))$
37854 := $(((C(3)\times 7)+C(8))\times 54)$
37875 := $(((37\times 8)+7)\times C(5))$
37884 := $((37\times(C(8)+C(8)))-(4))$
37888 := $(((3+7)+(8\times 8))\times C(8))$
37921 := $(((C(C(3))+(7-C(9)))\times 2)-1)$
37935 := $((C(C(3))+(-(7)\times C((9+3))))\times 5)$
37962 := $(37\times((C(9)-C(6))\times 2))$
37973 := $(C((C(3)+(7)))-C((C((9-7))+3)))$
37984 := $(((C(3)\times(C(7)+9))-8)\times 4)$
38125 := $((-(38)+C((-(1)+C(2))))\times C(5))$
38126 := $(((C(C(3))-C(8))\times(1\times 2))-C(6))$
38175 := $((3-C(8))\times(-(1\times 75)))$
38213 := $(C((3\times 8))+C((2+C((1\times 3)))))$
38225 := $(((C(C(3))-C(8))\times 2)+(C(2)-C(5)))$
38234 := $(((C(C(3))-C(8))\times 2)+(C(3)\times(-4)))$
38269 := $((C(3)+C(8))\times(2+69))$
38271 := $(((C(C(3))-C(8))\times 2)-71)$
38275 := $-((C(-((3-8)))-(C(C(2))\times 75)))$
38279 := $(((C(C(3))-C(8))\times 2)-((7\times 9)))$
38325 := $(((-(3)\times C(8))+3)\times(-25))$
38328 := $(((C(C(3))-(C(8)+3))\times 2)-8)$
38342 := $((C(C(3))-C(8))\times(-((3-4)\times 2)))$
38352 := $((C(C(3))-(((8^{3})-5)))\times 2)$
38354 := $(((C(C(3))-C(8))+C(C(3)))+(C(5)\times(-4)))$
38358 := $(((C(C(3))-8)+C(C(3)))+(C(5)\times(-8)))$
38429 := $((C((C(3)-8))+C(C(4)))/(-(2-9)))$
38452 := $(C(C(3))+(((8+4)+C(5))^{2}))$
38475 := $(((-(3)+C(8))+(4))\times 75)$
38479 := $(C(38)-((4^{7})+9))$
38480 := $(((C(3)-C(8))+(4))\times(-80))$
38488 := $(C(38)+(-(4)\times C((8+8))))$
38525 := $(((3\times C(8))+(5))\times 25)$
38535 := $((((3\times C(8))\times(-5))-C(3))\times(-5))$
38559 := $((-(3)\times C(8))+(55\times C(9)))$
38616 := $(((3^{8})-C((6-1)))\times 6)$
38629 := $((((3^{8})\times 6)-C(2))-C(9))$
38634 := $(((C(C(3))-(C(8)+C(6)))+C(C(3)))-(4))$
38639 := $(((C(C(3))+(8-6))+C(C(3)))-(C(9)))$
38691 := $-((C(3)\times(C(8)+((C(6)\times(-9))-1))))$
38723 := $(((C(C(3))+(8-C(7)))\times 2)+C(3))$
38736 := $(C(C(3))+(87\times(3+C(6))))$
38745 := $(C(3)\times(((-(8)-C(7))+C(4))\times(-5)))$
38779 := $(C(-(((3-8)\times 7)))-C((7+9)))$

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38822 := $(((C(C(3)) - ((8+8))) \times 2) - C(C(2)))$
38838 := $(((C(C(3)) + (-(8) - C(8))) + C(C(3))) - 8)$
38852 := $(((C(C(3)) - C(8)) + C(C((8-5)))) - 2)$
38862 := $((C(C(3)) + (8 - C(8))) + C(C((6/2))))$
38873 := $((38 \times (C(8) - (7))) + C(C(3)))$
38875 := $(((38 \times 8) + 7) \times C(5))$
38912 := $((38 \times C((9-1))) \times 2)$
38926 := $(((C(C(3)) + (C(8) - C(9))) \times 2) - (6))$
38927 := $((C(3) \times ((8 - C(9)) \times (-2))) - (7))$
38932 := $((C(C(3)) + ((C(8) - ((9^3))))) \times 2)$
38934 := $(((C(C(3)) \times 8) - C((9+3)))/4)$
38942 := $(((C(3) \times (8 - C(9))) - (4)) \times (-2))$
38964 := $(-(3) \times (C(8) - (C((9+6)) \times 4)))$
39023 := $((C(C(3)) - (C((9-02)))) + C(C(3)))$
39034 := $(-((3 \times 90)) + C(34))$
39088 := $((C(3) - C((9+08))) \times (-8))$
39123 := $(C(C(3)) + (((C(9) - 1) - C(2)) \times C(3)))$
39132 := $((C(C(3)) - (9 \times 13)) \times 2)$
39184 := $((C(C(3)) - (91)) \times (8/4))$
39195 := $(39 \times (C((1+9)) + (5)))$
39221 := $(((C(C(3)) - (9 \times C(2))) \times 2) - 1)$
39223 := $(((C(C(3)) - 9) \times 2) - (C((2+3))))$
39225 := $((((3^9) - C(2)) \times 2) - C(5))$
39232 := $((C((3+9)) \times 23) - C(C(2)))$
39235 := $((3-9) + ((2 \times C(C(3))) - (C(5))))$
39240 := $(C((C(3) + (9-2))) - C((4+0)))$
39241 := $(((3^9) \times 2) - C((4+1)))$
39242 := $((-(((3^9) + 2)) + C(4)) \times (-2))$
39243 := $(C((C(3) + (9-2))) - ((C(4) - 3)))$
39244 := $(C((C(3) + (9-2))) + (4 - C(4)))$
39245 := $((((3^9) \times 2) + 4) - C(5))$
39246 := $(C((C(3) + (9-2))) - ((C(4) - (6))))$
39247 := $(C((C(3) + (9-2))) - ((C(4) - (7))))$
39248 := $(C((C(3) + (9-2))) - ((C(4) - 8)))$
39249 := $((C(3) \times ((C(9) \times 2) - (4))) - 9)$
39252 := $(C((C(3) + (9-2))) - 52)$
39259 := $(C((C(3) + (9-2))) - (5 \times 9))$
39265 := $(((C(C(3)) + 9) \times 2) + (6 - C(5)))$
39268 := $-(((C(3) + 9) - C((26+8))))$
39272 := $(((C(3) \times (C(9) - 2)) + (7)) \times 2)$
39273 := $((-(39) + C(2)) + C((7 + C(3))))$
39274 := $(((C(C(3)) - 9) \times 2) - (74))$
39277 := $(-((3 \times 9)) + C((27+7)))$
39292 := $(-((3+9)) + C(((C(2) + 9) \times 2)))$
39293 := $((C(39) - C(-((2-9)))) - C(C(3)))$
39294 := $-((C(C(3)) - (-(9) \times (C(2) - (9^4)))))$
39295 := $((C(3) \times ((C(9) + 2) + C(9))) - C(5))$
39297 := $(C((((3 \times 9) - 2) + 9)) - (7))$
39298 := $((3-9) + C((2 \times (9+8))))$
39304 := $C((((3 \times 9) + 3) + 04))$
39307 := $(3 + C(((9 \times 3) + 07)))$
39312 := $(C(3) \times (((9^3) - 1) \times 2))$
39316 := $((3+9) + C((C(3) + (1+6))))$
39321 := $(-(C(3)) - ((9 - C(C(3))) \times (2 \times 1)))$
39322 := $((C(3) - 9) + C((32+2)))$
39325 := $(((C(C(3)) - 9) + C(C(3))) - (2^5))$
39327 := $((-(39) + C(C(3))) + (C(27)))$
39329 := $(C((C(3) - 9)) + ((C(32) + C(9))))$
39330 := $(((C(C(3)) - 9) + C(C(3))) - (C((3+0))))$
39331 := $(C(3) + C(((9/3) + 31)))$
39332 := $(((C(C(3)) + 9)/3) + C(32))$
39333 := $(C(C(3)) + (C((9 \times 3)) - 33))$
39334 := $(((3 \times 9) + 3) + C(34))$
39335 := $(((C(C(3)) - 9) + C(C(3))) - (C(3) - (5)))$
39336 := $(((C(C(3)) - 9) + C(C(3))) - (C(3) - (6)))$
39337 := $((C(3) + (9-3)) + C((C(3) + (7))))$
39338 := $(((C(C(3)) - 9) + C(C(3))) - ((C(3) - 8)))$
39339 := $(((3^9) - C(3)) + (3^9))$
39351 := $(((C(C(3)) - 9) + C(C(3))) - (5+1))$
39352 := $((C(C(3)) - ((9+3) - 5)) \times 2)$
39353 := $(((C(C(3)) + 9) + C(C(3))) - (-(5) + C(3)))$
39356 := $(((C(C(3)) - 9) + C(C(3))) + ((5-6)))$
39357 := $(-(C(3)) + ((-(9) - C(C(3))) \times (5-7)))$
39360 := $(C(C(3)) + ((C((9 \times 3)) - (6+0))))$
39361 := $(C(C(3)) + (C((9 \times 3)) - (6-1)))$
39362 := $(C(C(3)) + (C((9 \times 3)) - (6-2)))$
39364 := $(C(C(3)) + ((C((9 \times 3)) - (6-4))))$
39365 := $(C(C(3)) + (C((9 \times 3)) - (6-5)))$
39367 := $(C(C(3)) + (C((9 \times 3)) - ((6-7))))$
39368 := $(C(C(3)) + (C((9 \times 3)) - ((6-8))))$
39373 := $((((3^9) \times 3) + 7) - C(C(3)))$
39374 := $((-((3-9)) + C((C(3) + (7)))) + C(4))$
39375 := $((((C(3) - 9) + C(3)) \times 7) \times C(5))$
39376 := $(((C(C(3)) + 9) + C(C(3))) + (7-6))$

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39384 := $((C(3)-9)+(C(C(3))\times(8/4)))$
39392 := $(((C(C(3))+9)+C(C(3)))+(9+C(2)))$
39393 := $((C(3)+C((9\times3)))+C((9\times3)))$
39396 := $(3-(9\times(-(3)-(C(9)\times6))))$
39420 := $(C(3)\times((9+C(4))\times20))$
39421 := $((C(C(3))-(9-C(4)))+C(C((2+1))))$
39422 := $((C(C(3))+((9\times4)-C(2)))\times2)$
39423 := $((C(C(3))+((-(9)+C(4))+2))+C(C(3)))$
39429 := $(((C(C(3))+(9\times4))\times2)-9)$
39443 := $((C(C(3))+((9+4)+C(4)))+C(C(3)))$
39456 := $(3\times((C((9+4))-(5))\times6))$
39464 := $((((-(3)-C(9))/(-4))\times C(6))-C(4))$
39473 := $-((C(3)-(C((9-4))\times(C(7)-C(3)))))$
39474 := $(C(C(3))+((C(9)+(4))\times C((7-4))))$
39483 := $((C(C(3))+(C((9-4))-8))+C(C(3)))$
39492 := $((-(3)+C((9+4)))\times(9\times2))$
39512 := $((C(C(3))+(9+C((5-1))))\times2)$
39528 := $(C(3)\times(952+C(8)))$
39546 := $((C(39)/(-(5+4)))\times(-6))$
39547 := $(((3-C(9))\times(-54))+C(7))$
39582 := $((C(3)-9)\times(C((5+8))+2))$
39609 := $((C(3)+(C(9)\times6))\times09)$
39622 := $((C(C(3))+C(C((9-6))))+(2^{C(2)}))$
39628 := $((C(39)-C(C((6/2))))-8)$
39645 := $-(((C(C(3))-9)-C(-((6-45)))))$
39646 := $((C(C(3))+C(C((9-6))))+(C(4)+C(6)))$
39647 := $(C((C(3)+((9-6)+4)))+C(7))$
39648 := $-((((C(3)-C(9))-(6))\times(C(4)-8)))$
39653 := $(((C(3)\times(C(9)+(6)))+C(5))+C(C(3)))$
39662 := $(((C(C(3))+C(C((9-6))))-C(6))+C(C(2)))$
39663 := $((C(C(3))+(((C(9)-C(6))-C(6))))+C(C(3)))$
39722 := $(((C(C(3))+(9-C(7)))+C(C(2)))\times2)$
39727 := $(((C(C(3))-(-(9)-C(7)))\times2)-C(7))$
39736 := $((C(-((3-9)))+C((7+C(3))))+C(6))$
39744 := $(C((3+9))\times(7+(4\times4)))$
39747 := $(C(C(3))+((9+C(7))\times(C(4)-(7))))$
39752 := $((C(C(3))+(C(9)-C(7)))+C(C((5-2))))$
39753 := $(((C(C(3))+C(C((9-7))))-(C(5)))+C(C(3)))$
39763 := $(((C(39)+C(7))-C(6))-C(C(3)))$
39798 := $((C(3)\times(9-7))\times(C(9)+8))$
39825 := $(C(3)\times((C(9)-(C(8)\times2))\times(-5)))$
39834 := $(((C(3)-9)+C(8))+C(34))$
39843 := $(C(C(3))-(-(9)\times(C(8)+C((4\times3)))))$
39852 := $-((C(3)\times((C(9)-C((8+5)))-C(2))))$
39863 := $((C(C(3))-((9-C(8))+(6)))+C(C(3)))$
39869 := $((C(C(3))-(9-C(8)))+C(C(-((6-9)))))$
39872 := $-((C((C(3)+9))-((C(8)-C(7))\times C(C(2)))))$
39875 := $(((39\times8)+7)\times C(5))$
39928 := $((-((3-(9\times9)))\times C(C(2)))-8)$
39942 := $(((C(3)\times(C(9)+C(9)))+C(4))+C(C(2)))$
40123 := $((40\times(-(1)+C(C(2))))+C(C(3)))$
40375 := $(C(40)-((C(3)\times7)\times C(5)))$
40382 := $(((-(4)+C(C(03)))+C(8))\times2)$
40792 := $((-(4)+(07\times C(9)))\times C(2))$
40875 := $(((40\times8)+7)\times C(5))$
41024 := $(C(4)-(-(10)\times C((2^4))))$
41123 := $((C((C((4-1))+1))-C(C(2)))+C(C(3)))$
41256 := $(((C(4)+(1\times2))+C(5))\times C(6))$
41280 := $((4+C(C((1\times2))))\times80)$
41287 := $(41\times(C((2+8))+(7)))$
41375 := $((-(((4\times1)\times3))+C(7))\times C(5))$
41463 := $(((4-1)-C((4\times6)))\times(-3))$
41466 := $(((4-1)\times C((4\times6)))-(6))$
41472 := $((4-1)\times C((-((4-7))\times C(2))))$
41489 := $-((C(4)-(((1+C(4))-8)\times C(9))))$
41536 := $(C(4)\times((1^5)+(3\times C(6))))$
41624 := $((41\times C(6))+C((C(2)\times4)))$
41625 := $(((C((4+1))+C(6))-C(2))\times C(5))$
41635 := $(C(C((4-1)))+C(((6+C(3))-(5))))$
41671 := $-((C(41)-C((6\times(7+1)))))$
41689 := $(((C(4)+(16))\times C(8))+C(9))$
41739 := $((-(4)-C(17))+C((C(3)+9)))$
41796 := $((C((C(4)-(1^7)))+(C(9)))/6)$
41832 := $(((C(4)-1)\times83)\times C(2))$
41833 := $((C(4)+C(18))+C(33))$
41875 := $((C((4+1))\times(-8))+C((7\times5)))$
41921 := $(C(41)-C((9+21)))$
41930 := $((C(41)+9)-C(30))$
41976 := $((-(4)-(C((1+9))\times(-7)))\times6)$
41984 := $(C(4)\times(((-(1)+C(9))-8)-C(4)))$
42125 := $((-((4+2))+C((-(1)+C(2))))\times C(5))$
42235 := $((C(4)\times(-(2)-C(2)))+C(35))$
42237 := $((4\times(C(22)-3))-C(7))$
42277 := $((4\times(C(22)+(7)))-C(7))$

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42279 := $((((4+C(2))\times C(C(2)))\times 7)-(C(9)))$
42332 := $(((-(4)-C(C(2)))-C(3))+C((C(3)+C(2))))$
42336 := $((C(4)-C(2))\times(C(3)+((3^6))))$
42358 := $(C(((4\times 2)+C(3)))-(5+C(8)))$
42363 := $(-(C((4\times 2)))+C((C(3)+C((6/3)))))$
42368 := $(C(4)\times(((-(2)+C(3))\times 6)+C(8)))$
42375 := $((-(4)\times C((2+3)))+C((7\times 5)))$
42376 := $((4\times C(((2+C(3))-(7))))-C(6))$
42394 := $(((-(C(4))+C(C(2)))+3)\times 94)$
42423 := $(((C(4)-C(C(2)))-(4))+C((C(2)+C(3))))$
42427 := $((C(4)-C(C(2)))+(C((42-7))))$
42432 := $(C(4)\times((-(2)-C(4))+C((3^2))))$
42494 := $-(((C(4)+2)+((C(4)-C(9))\times C(4))))$
42523 := $(((-(42)+C(5))\times C(C(2)))+C(3))$
42532 := $(-(C(((4-2)+5)))+C((C(3)+C(2))))$
42533 := $((-(4)\times(C(2)-C((-(5)+C(3)))))-C(3))$
42536 := $(-(4)\times((C(2)-C((-(5)+C(3))))+(6)))$
42552 := $((C(4)\times((C(2)+C(5))\times 5))-C(2))$
42555 := $((C(4)\times((C(2)+C(5))\times 5))-(5))$
42584 := $(-(4)+((C(C(2))-(5))\times 84))$
42591 := $((4\times C((C(2)+(5+9))))-1)$
42592 := $(((4-2)^5)\times C((9+2)))$
42623 := $(-((42\times 6))+C((C(2)+C(3))))$
42624 := $((C(((4^2)+6))+C(2))\times 4)$
42625 := $(C((4+26))+C(25))$
42657 := $((-((4-2))-C(6))+C((5\times 7)))$
42672 := $(-(42)\times((C(6)-C(7))\times C(2)))$
42675 := $(((4^2)-C(6))+C((7\times 5)))$
42683 := $(((C(4)/2)\times(-6))+C((8+C(3))))$
42691 := $(((C(C(4))+2)/6)-(C((9+1))))$
42747 := $((C(4)\times(-2))+C(((7\times 4)+7)))$
42776 := $((C(C(4))+(-(2)\times C((7+7))))/6)$
42803 := $(-((C(4)+C(2)))+C((8+C(03))))$
42811 := $(-(C(4))+C((C(2)+C(-((8-11))))))$
42813 := $(-((C(4)-2))+C((8+C((1\times 3)))))$
42833 := $(-(42)+C((8+(3^3))))$
42835 := $(-((4\times(2+8)))+C(35))$
42843 := $((C(4)/(-2))+C(((8\times 4)+3)))$
42857 := $((C((-(4)-(C(2)\times(-8))))/5)-C(7))$
42863 := $((-(4)-C(2))+C((8+C((6-3)))))$
42869 := $(-((4+2))+C((8+C(-((6-9))))))$
42871 := $(-(4)+C(((28+7)\times 1)))$
42872 := $(((C(4)\times(-2))\times(8-C(7)))-C(2))$
42875 := $C(((((4\times 2)-8)+7)\times 5))$
42879 := $(4+C(-((28-(7\times 9)))))$
42883 := $(((4^2)-8)+C((8+C(3))))$
42931 := $((C(4)-C(2))+C(((9+C(3))-1)))$
42932 := $((C(4)+((2-9)))+C((C(3)+C(2))))$
42938 := $(((C(4)+C(2))-9)+C((C(3)+8)))$
42939 := $(C(4)+C(((29-3)+9)))$
42941 := $((C(4)+2)+C(((9\times 4)-1)))$
42944 := $((((4+2)+C(9))-C(4))\times C(4))$
42945 := $-(((C(4)+2)-(C(9)\times(C(4)-(5)))))$
42947 := $((C(4)+C(2))+C(((9-4)\times 7)))$
42957 := $((C(4)+((2\times 9)))+C((5\times 7)))$
42966 := $((C(4)-2)\times(C(9)-(6\times 6)))$
42983 := $(((4+C(2))\times 9)+C((8+C(3))))$
43125 := $((C((4+3))+(1\times 2))\times C(5))$
43136 := $(C(4)\times((C(3)-1)+(3\times C(6))))$
43154 := $((C((4+3))\times(1+C(5)))-C(4))$
43157 := $-(((C(4)-3)-((1+C(5))\times C(7))))$
43168 := $(((-(C(4))+C(C((3+1))))/6)-C(8))$
43217 := $(C(((C(4)-C(3))-2))-(1-C(7)))$
43218 := $(C((4+3))+C((C((2+1))+8)))$
43245 := $(((4+C(3))^2)\times 45)$
43258 := $((-(4)+C((C(3)+C(2))))-((C(5)-C(8))))$
43264 := $((((C(4)\times 3)+C(2))\times C(6))+C(4))$
43276 := $((C(4)+C((C(3)+C(2))))+(C(7)-(6)))$
43290 := $(((-(4)-C(3))+C(C(2)))\times 90)$
43296 := $((-((C(4)-3))+C(C(2)))\times 96)$
43325 := $((C((4\times 3))\times(C(3)-2))+C(5))$
43345 := $(C(4)+(C(3)\times(C((3\times 4))-C(5))))$
43375 := $((4+C(((3-3)+7)))\times C(5))$
43388 := $(((4-3)+C((C(3)+8)))+C(8))$
43392 := $(C(4)\times(339\times 2))$
43416 := $(((C(4)+3)\times(4-1))\times C(6))$
43452 := $(-(4)\times(-(((C(3)+C(4))\times C(5)))+C(C(2))))$
43557 := $(-(4)+((-((3-5))+C(5))\times C(7)))$
43569 := $((((C(4)-C(3))\times C(5))+C(6))\times 9)$
43592 := $(((-(4)+C(35))+C(9))-C(2))$
43595 := $(((-(4)+C(35))+C(9))-(5))$
43597 := $((C(((4+3)\times 5))+C(9))-(7))$
43599 := $(((4+C(35))-9)+C(9))$
43615 := $(C((4+C(3)))+C(-((6\times(1-5)))))$

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43634 := $((C(43) - C((6 + C(3)))) + C(4))$
43656 := $((C(C(4)) - ((-(3) + C(6)) - (5)))/6)$
43680 := $((C(4) + C(3)) \times (6 \times 80))$
43686 := $((C(C(4)) - (36 - 8))/6)$
43712 := $(C(4) \times (-(3) + (C(7) \times (1 \times 2))))$
43725 := $(((-(4) + C((3 \times 7))) - C(C(2))) \times 5)$
43732 := $(((4 - (3^7)) - C(C(3))) \times (-2))$
43776 := $((C(C(4)) + C(C((3 - (7/7)))))/6)$
43872 := $((4 \times C(38)) - C((7 \times C(2))))$
43875 := $(((43 \times 8) + 7) \times C(5))$
43904 := $((-(43) + C(9)) \times C(04))$
43912 := $((-(4) - C(((3 \times 9) + 1))) \times (-2))$
43928 := $-(((C(4) \times (C(3) - C(9))) + C((2 + 8))))$
43952 := $((((C(4) - 3) \times C(9)) - (5)) - C(C(2)))$
43956 := $((((4 \times 3) \times C(9)) \times 5) + C(6))$
43957 := $(((C(4) - 3) \times C(9)) - C(C(-((5 - 7)))))$
43981 := $((C(4) - 3) \times (C(9) - (8 \times 1)))$
44093 := $((C(4) \times (-(40) + C(9))) - 3)$
44192 := $(((4 - C(4)) \times (1 - C(9))) + C(C(2)))$
44199 := $-(((C(4) \times (C((4 - 1)) - C(9))) + C(9)))$
44217 := $(((4/4) + C(2)) \times C(17))$
44247 := $(((4 + C((4 \times 2)))/4) \times C(7))$
44253 := $(-((C(4) - C(((4 \times 2) \times 5)))) - C(C(3)))$
44263 := $((4 - (C((4^2)) \times (-6))) + C(C(3)))$
44268 := $(C(4) + (((C(C(4)) + C(2))/6) + C(8)))$
44325 := $(((4 + 4) - C(C(3))) + C((C(2) \times 5)))$
44385 := $(((C(4) + (4)) - C(C(3))) + C((8 \times 5)))$
44416 := $((C(4) + C(4)) \times (4 + C((1 + 6))))$
44469 := $((-(C(4)) + C(-(((4/4) - 6)))) \times C(9))$
44492 := $(((4 - C(4)) \times (-(4) - C(9))) + C(C(2)))$
44532 := $(C(-((4 - 45))) - C((C(3) + 2)))$
44533 := $(C(4) - ((C(4) - C(5)) \times C((3 \times 3))))$
44573 := $(-(4) - ((C(4) - (5 \times C(7))) \times C(3)))$
44657 := $((((4 - C(4)) \times (-6)) \times C(5)) - C(7))$
44671 := $(((C(4) + C(4)) \times (6 + C(7))) - 1)$
44672 := $(-((4 \times 4)) \times ((-(6) - C(7)) \times C(2)))$
44696 := $(-((4 \times 4)) + ((C(6) - 9) \times C(6)))$
44738 := $(((4 - C((C(4) + (7)))) + 3)/(-8))$
44773 := $(((C(4) + C(4)) \times (C(7) + (7))) - C(3))$
44853 := $(((C(C(4))/4) + (-(8) \times C(5))) - C(C(3)))$
44857 := $((C(4) \times ((C(4) + C(8)) + C(5))) - (7))$
44875 := $(((44 \times 8) + 7) \times C(5))$
44924 := $((-(4) + C((4 \times 9))) - C((C(2) + (4))))$
44928 := $((C(4) + C(4)) \times (C((9 - 2)) + 8))$
44931 := $(4 + ((C(4) \times (C(9) - C(3))) - 1))$
44932 := $(-(4) + ((C(4) \times (C(9) - C(3))) + C(2)))$
44942 := $(-((4^4)) + (C(9) \times (C(4) - 2)))$
45125 := $((((4 \times 5) - 1)^2) \times C(5))$
45136 := $((C(4) \times (C(51) + C(C(3))))/C(6))$
45194 := $-(((((C(4) - C(5)) - 1) \times C(9)) + (4)))$
45198 := $((4 \times ((C(5) - 1) \times C(9)))/8)$
45220 := $((C(4) + C((5 + C(2)))) \times 20)$
45225 := $(45 \times (C((C(2) + 2)) + (5)))$
45276 := $((-(((4 \times 5) + 2)) \times C(7)) \times (-6))$
45357 := $-((C((4 \times (5 + 3))) - (5^7)))$
45360 := $((C((4 + 5)) + C(3)) \times 60)$
45375 := $((4 - C(5)) \times (-375))$
45395 := $((C(-((C(4) - C(5)))) + ((3 - 9)))/5)$
45479 := $((C(4) \times (C((5 + 4)) - (7))) - C(9))$
45562 := $((C(45) + ((5 - 6)))/2)$
45564 := $(((-(4) \times C(5)) \times (C(5) - C(6))) + C(4))$
45568 := $((C(4) - ((5 - (5 \times 6)))) \times C(8))$
45592 := $(((C(4) - (5)) + C((5 \times 9)))/2)$
45625 := $((((C(4) + (5)) - C(6)) + C(C(2))) \times C(5))$
45626 := $((-((4^5)) + C((6^2))) - (6))$
45631 := $(C(C(4)) - ((5 + 6) \times C(C((3 \times 1)))))$
45696 := $(-(4) \times ((C(5) - (6)) \times (-96)))$
45727 := $(((C(45) + C(7))/2) - (7))$
45738 := $((-(4) + C(5)) \times ((C(7) + C(3)) + 8))$
45750 := $((C(4) - C(5)) \times (-750))$
45752 := $((-((4 - 5)) + C(7)) \times (C(5) + C(2)))$
45783 := $(((4 + C(5)) \times C(7)) + (C(8) \times 3))$
45799 := $((C(4) \times ((5 - 7) + C(9))) - C(9))$
45824 := $(((4 \times C(5)) + C((8 - 2))) \times C(4))$
45832 := $(((C(45) + C(8)) + C(3))/2)$
45843 := $(((C(C(4)) - (5 \times 8))/4) - C(C(3)))$
45853 := $((4^{5 \times 8/5}) - C(C(3)))$
45875 := $(((45 \times 8) + 7) \times C(5))$
45929 := $((C((45 - 9)) + 2) - C(9))$
45933 := $-(((C(4) - C(5)) \times ((C(9) + C(3)) - 3)))$
45936 := $(((4 + 5) - C(9)) + C(36))$
45945 := $((C(4) - (C(5) \times (-(9) - C(4)))) \times 5)$
45955 := $((((4^5) \times 9) \times 5) - C(5))$
46072 := $(C(C(4)) - (C(60) + 72))$

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46144 := $(C(C(4)) - C((6 \times (14 - 4))))$
46161 := $-((C(4) - ((C(6) - 1) \times (C(6) - 1))))$
46199 := $((C(4) \times (-((6 + 1)) + C(9))) - 9)$
46208 := $((C(4) + C((6^2))) - C(08))$
46216 := $((4 - C(6)) \times (-(2) - C((1 \times 6))))$
46224 := $(((-(4) + C(6)) + 2) \times C((2 + 4)))$
46228 := $(4 - (-((C(6) - 2)) \times C(-((2 - 8)))))$
46271 := $((C(4) \times (-(6) + C((2 + 7)))) - 1)$
46272 := $(C(4) \times (-(6 - (27^2))))$
46296 := $((((4 + 6) \times C(C(2))) \times 9) + C(6))$
46305 := $(C(((4 \times 6) - 3)) \times 05)$
46317 := $((4 + C((6^{3-1}))) - C(7))$
46325 := $(((-(4) + C((-(6) + C(3)))) + C(2)) \times 5)$
46345 := $(((4 + C((-(6) + C(3)))) + (4)) \times 5)$
46349 := $-((((C(4) + C(6)) + C(3)) - C((4 \times 9))))$
46360 := $(C(C(4)) - (-((6^3)) + C(60)))$
46364 := $(((4 - C(6)) \times (-(3) - C(6))) - C(4))$
46368 := $-((((C(4) + C(6)) - C(36)) + 8))$
46369 := $(C(4) - (-(63) \times (6 + C(9))))$
46375 := $((C(4) + (6)) + (C((3 \times 7)) \times 5))$
46384 := $((C((C(4) + (6))) - (C(C(3)) \times 8))/4)$
46394 := $-(((C(4) + (6)) + ((3 - C(9)) \times C(4))))$
46436 := $((-(4) - C(6)) + C((4 \times (3 + 6))))$
46457 := $(((C(4) \times 6) \times (-(4) + C(5))) - (7))$
46497 := $(((C(4) - C(6)) + C((4 \times 9))) - (7))$
46522 := $(C(C(4)) + (-(6) \times C(((5^2) + C(2)))))$
46524 := $(-(4) - ((-((C(6) - C(5))) \times C(C(2))) + C(4)))$
46528 := $(((C(4) \times (C(6) - C(5))) - C(2)) \times 8)$
46535 := $((4 + C((6^{5-3}))) - C(5))$
46536 := $(-(((4 \times 6) \times 5)) + C(36))$
46539 := $((C(-((4 - 6))) - (C(5))) + C((C(3) + 9)))$
46552 := $(((C(4) \times (C(6) - C(5))) - (5)) \times C(2))$
46557 := $((4 + (C((6 + 5)) \times (-5))) \times (-7))$
46562 := $-(((C(4) + ((6 \times 5))) - C((6^2))))$
46565 := $((((4 + C(6)) - (5)) \times C(6)) + C(5))$
46568 := $(-((4 \times 6)) - ((C(5) - C(6)) \times C(8)))$
46572 := $((-(4) - (C(6) \times (C(5) - C(7)))) - C(C(2)))$
46576 := $-((C(C(-((4 - 6)))) + ((C(5) - C(7)) \times C(6))))$
46584 := $(-(4) + (((C(6) - C(5)) \times C(8)) - (4)))$
46586 := $((C(4) \times ((C(6) - C(5)) \times 8)) - (6))$
46588 := $(4 + (((C(6) - C(5)) \times C(8)) - 8))$
46591 := $((C(4) \times (-((6 - 5)) + C(9))) - 1)$
46592 := $(C(4) \times (((6 - 5) + C(9)) - 2))$
46593 := $(-((C(4) - (6 - 5))) + C((9 + C(3))))$
46595 := $((C(4) \times ((6 - 5) + C(9))) - C(5))$
46598 := $(((C(C(4)) + (6))/5) - (C(9) \times 8))$
46623 := $(-((4 - ((6^6) - 2))) - C(3))$
46624 := $-(((C(4) - (6^6)) - (C(2) \times 4)))$
46625 := $(-((4 - (6^6))) - C(-((2 - 5))))$
46639 := $(C(4) + ((C(6) \times (C(6) + 3)) - C(9)))$
46662 := $((4 + ((6^6) - 6)) + C(2))$
46664 := $(C(-((4 - 6))) + C((6^{6-4})))$
46668 := $((4 + (6^6)) + C(-((6 - 8))))$
46683 := $(C((4 \times ((6/6) + 8))) + C(3))$
46693 := $(C(4) + (((6^6) - (9 \times 3))))$
46712 := $((C(4) + (6^{7-1})) - C(2))$
46715 := $(C(4) + (((6^{7-1}) - 5)))$
46762 := $((C(4) + (6 \times 7)) + C((6^2)))$
46766 := $-((C(4) + ((C(6) + (7)) \times (6 - C(6)))))$
46782 := $(46 \times (-(7) + (C(8) \times 2)))$
46784 := $((((-(4) + C(6)) + (7)) + C(8)) \times C(4))$
46835 := $((C(4) \times (C(6) + C(8))) + ((3^5)))$
46844 := $((((4 + C(6)) + C(8)) \times C(4)) - (4))$
46845 := $((C(4) + C((6^{8/4}))) + C(5))$
46848 := $((((-(4) + C(6)) + C(8)) \times C(4)) + C(8))$
46875 := $(((46 \times 8) + 7) \times C(5))$
46876 := $(4 + ((C(6) + (8 - 7)) \times C(6)))$
46879 := $(4 - (C((68 + 7))/(-9)))$
46892 := $((4 - C(6)) + (C(8) \times 92))$
46896 := $((4 \times 6) - ((C(8) - C(9)) \times C(6)))$
46912 := $(C(4) \times ((6 + C(9)) - (1 \times 2)))$
46915 := $((C(4) \times (6 + C(9))) + (-(1) \times C(5)))$
46927 := $(-(4) - ((C(69) + C(2))/(-7)))$
46928 := $(C(4) + ((C(6) \times (C(9) - C(C(2)))) - 8))$
46933 := $(((C(4) + C(6)) + C((9 + C(3)))) - 3)$
46936 := $((C(4) + C(6)) + ((9 - 3)^6))$
46939 := $(C(4) - (C(((C(6) + 9)/3))/(-9)))$
46948 := $(((-(4) - C(6)) + C((9 \times 4))) + C(8))$
46970 := $(((C(4) - (6)) - C(9)) \times (-70))$
46976 := $(C(4) \times ((6 + C(9)) - (7 - 6)))$
46984 := $((C(4) \times (6 + C(9))) + (8 - C(4)))$
46995 := $((C(4) \times (6 + C(9))) - (9 \times 5))$
47097 := $((C(4) \times (7 + C(09))) - (7))$

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47125 := $((-((C(4)+71))+C(C(2)))\times C(5))$
47168 := $(C(-((4\times(7-16))))+C(8))$
47232 := $(C(4)\times((7+2)+C((3^2))))$
47239 := $(((C(4)+(7))+C(C(2)))+C((C(3)+9)))$
47296 := $(-(4)\times(C(7)-C((29-6))))$
47323 := $((C(4)\times 7)-(-(3)\times C((-(2)+C(3)))))$
47365 := $(((4-C((7\times 3)))-C(6))\times(-5))$
47389 := $(4-(-((73-8))\times C(9)))$
47417 := $((C(4)\times 741)-(7))$
47424 := $((C(4)\times 742)-C(4))$
47449 := $(C((C(4)-((7\times 4))))+(C(4)+C(9)))$
47533 := $((4\times((7^5)-3))-C(C(3)))$
47537 := $((C((C(4)-(7)))+(C(5)))-(C(C(3))\times 7))$
47539 := $((4+C(7))\times(C(5)+(3+9)))$
47552 := $(-(C(4))-(-(((C(7)-C(5))-C(5)))\times C(C(2))))$
47573 := $((4\times((7^5)+7))-C(C(3)))$
47625 := $((((-(4)-C(7))+C(6))+C(C(2)))\times C(5))$
47656 := $(C((4\times 7))+((-(6)+C(5))\times C(6)))$
47665 := $-(((C(4)+(7))-(C(6)\times(C(6)+(5)))))$
47677 := $(((C(4)+76)\times C(7))-C(7))$
47712 := $((C(C(4))+((C(7)-C(71))))/(-2))$
47744 := $((((-(4)+C(7))+C(7))+C(4))\times C(4))$
47775 := $(((-(4)\times C(7))+(7))\times(-(7\times 5)))$
47843 := $((((C(4)\times 7)-8)\times C(4))+C(C(3)))$
47875 := $(((47\times 8)+7)\times C(5))$
47884 := $(4-((C(7)+C(8))\times(8-C(4))))$
47916 := $(C((4+((7\times 9)-1)))/6)$
47924 := $(((C((4+7))\times 9)+2)\times 4)$
47933 := $((C(4)\times((-(7)+C(9))+C(3)))-3)$
47936 := $(C(4)\times((-(7)+C(9))+C(-((3-6)))))$
47943 := $((C((4+7))\times(9\times 4))+C(3))$
47956 := $-((C(4)+(C(7)\times((-(9)-C(5))-(6)))))$
48064 := $(C(4)-((C(80)\times(-6))/C(4)))$
48128 := $(((48-1)\times 2)\times C(8))$
48237 := $(((4\times 8)+C(-((C(2)-C(3)))))\times 7)$
48256 := $(C(4)\times(-(8)+((-(2)-C(5))\times(-6))))$
48328 := $-((C(4)-(8\times((3^{C(2)})-C(8)))))$
48375 := $(((4\times(8+3))+C(7))\times C(5))$
48384 := $(C((4+8))\times((3\times 8)+4))$
48388 := $(-(4)-((C(8)-(3^8))\times 8))$
48392 := $((C(4)+(C(8)\times(C(3)+C(9))))/C(2))$
48448 := $(C(4)+(84\times(C(4)+C(8))))$
48594 := $(-(4)-((C(8)+(5))\times(-94)))$
48640 := $(((C(C(4))+C(8))/(-C(6)))\times(-40))$
48672 := $((48\times 6)\times(-(C(7))+C(C(2))))$
48676 := $((-(4)+C(8))+((C(6)+(7))\times C(6)))$
48689 := $(((C(C(4))+C(8))/6)+(C((8+9))))$
48768 := $(48\times((C(7)-C(6))\times 8))$
48839 := $(-(4)-(-(((8\times 8)+3))\times C(9)))$
48843 := $(C(((C(4)+8)/8))\times(C(4)+3))$
48875 := $(((48\times 8)+7)\times C(5))$
48934 := $(-((C((4+8))-9))+C(-((C(3)-C(4)))))$
49152 := $((C(4)\times(91+5))\times C(2))$
49216 := $(C(4)\times(C(9)+(C(2)\times(-(1-6)))))$
49233 := $(((4^{9-2})+C(3))\times 3)$
49234 := $((C((49-C(2)))-C(C(3)))-(4))$
49243 := $(-(4)+(C((9+2))\times(C(4)-C(3))))$
49272 := $((C(4)\times(C(9)-2))+C((7\times 2)))$
49275 := $(((C(4)-C(9))+C(2))\times(-75))$
49298 := $(4+((9-C(C(2)))\times(-98)))$
49348 := $((-((C(4)+C(9)))+C(-((C(3)-C(4)))))-C(8))$
49375 := $(((49+3)+C(7))\times C(5))$
49392 := $(-(4)\times((-(9)-C(3))\times C((9-2))))$
49397 := $(-(4)+(9\times(C((C(3)-9))-C(7))))$
49419 := $((C(4)\times(C(9)-C(4)))+C(19))$
49432 := $(-((4-(9^4)))+C((C(3)+C(2))))$
49444 := $-((C(4)-((C(9)\times(C(4)+(4)))-C(4))))$
49536 := $(C(4)\times((9\times 5)+(3^6)))$
49544 := $-(((C(C(4))+C((9+5)))-C((C(4)+(4)))))$
49572 := $((C(4)+(9-5))\times C((7+2)))$
49625 := $-((C((C(4)-9))-C(((6\times 2)\times 5))))$
49656 := $(-(4)\times(((9\times C(6))+C(5))\times(-6)))$
49697 := $-((C(4)-((C(9)-C(6))\times 97)))$
49724 := $(C(4)+((97\times C(C(2)))-(4)))$
49725 := $(-(C(4))-((-97)\times C(C(2)))-(C(5))))$
49728 := $(((C(4)\times(-97))-C(2))\times(-8))$
49734 := $(((C(4)\times(-9))-C(7))+C(-((C(3)-C(4)))))$
49735 := $(((4-C(9))\times(-(7^3)))/5)$
49739 := $((-(4)+(9\times C(7)))+C((C(3)+9)))$
49785 := $(-(4)+((97\times C(8))+C(5)))$
49792 := $(C(4)\times(C(9)+(7\times(9-2))))$
49844 := $((-(4)-C(9))\times((-(8)-C(4))+(4)))$
49848 := $(C(4)+(-(98)\times(4-C(8))))$
49875 := $((C(4)-C(9))\times(-((8+7)\times 5)))$

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49896 := $((-(498)+C(9))\times C(6))$
49928 := $((4-C(9))+C((9+28)))$
49937 := $(((4+9)-C(9))+C(37))$
50653 := $C(((5+((0\times 6)+5))+C(3)))$
50688 := $-((((C(5)-C(06))-8)\times C(8)))$
50875 := $(((50\times 8)+7)\times C(5))$
51102 := $(51\times(C(10)+2))$
51255 := $(51\times(C((2\times 5))+(5)))$
51408 := $((C(5)+1)\times 408)$
51479 := $((C(5)\times((-(1)+C(4))+C(7)))+C(9))$
51488 := $(-C(5)+(-1+4)^{8})\times 8$
51743 := $(C(((5-1)\times 7))+C((4+C(3))))$
51759 := $(-(((5-1)-75))\times C(9))$
51858 := $-(((C(5)+(1+8))\times(C(5)-C(8))))$
51875 := $(((51\times 8)+7)\times C(5))$
52135 := $(((-(5)+C(21))-C(C(3)))\times(-5))$
52136 := $-((C((5+2))\times(C((1+3))-C(6))))$
52225 := $((-(5)-((C(C(2))-2)\times C(C(2))))/(-5))$
52238 := $((C(5)\times(-2))-(C(2)\times(-(3^{8}))))$
52266 := $((((C(5)\times 2)-C(2))\times C(6))-(6))$
52299 := $((5-(C(2)\times(-(2)+C(9))))\times(-9))$
52324 := $((-((C(5)+2))+C(C(3)))+C((C(2)\times 4)))$
52336 := $(C((5\times C(2)))-(((C(3)+C(3))\times C(6))))$
52353 := $((-(5)-(C(2)\times(-(3^{5}))))\times C(3))$
52363 := $-((C(5)-(C(2)\times(3^{C(6/3)}))))$
52364 := $(((C(5)\times 2)-3)\times(C(6)-(4)))$
52416 := $(((C(5)-C(2))\times C(4))\times(1+6))$
52425 := $(((C((5-2))-C(C(4)))-C(2))/(-5))$
52437 := $((((C(5)-C(2))\times C(4))+3)\times 7)$
52438 := $(((-(5)+C((C(2)\times 4)))+C(C(3)))-8)$
52445 := $((((5-2)^{4})+C(C(4)))/5)$
52459 := $-((C((5+C(2)))-((C(4)\times(C(5)+C(9))))))$
52465 := $(-(5)\times((C((C(2)+(4)))\times(-6))-(C(5))))$
52479 := $((((-(5)-C(2))-(4))\times C(7))\times(-9))$
52483 := $(-(5)-(C(((-(2)+C(4))-8))/(-3)))$
52493 := $(5+((C(2)+C(4))\times(9^{3})))$
52528 := $(5+(-2+5)^{C(2)})\times 8$
52533 := $(5-(C(2)\times(-(5)+(C(C(3))/(-3)))))$
52603 := $-((C(5)+(C(26)\times(0-3))))$
52625 := $(C(5)\times(((C(2)-C(6))\times(-2))+(5)))$
52632 := $((-(C(5))+C(C(2)))\times((C(6)\times 3)-C(C(2))))$
52634 := $((C((5+C(2)))-C(6))+C(-((C(3)-C(4)))))$
52648 := $((C((5+2))\times(C(6)-C(4)))+C(8))$
52656 := $((C((5\times 2))+(6^{5}))\times 6)$
52697 := $((5+((C(C(2))-(6))\times C(9)))/7)$
52713 := $((5-C((27-1)))\times(-3))$
52728 := $((5\times C((C(2)+(7\times 2))))-C(8))$
52733 := $(5+(C(-(((C(2)-(7))-C(3))))\times 3))$
52743 := $((-(5)-C(-((2-(7\times 4)))))\times(-3))$
52762 := $(((C(5)\times(-2))\times(7-C(6)))+C(C(2)))$
52853 := $(C(5)+(C((2\times(8+5)))\times 3))$
52875 := $(((52\times 8)+7)\times C(5))$
52992 := $((((5+2)+C(9))\times 9)\times C(2))$
52997 := $(5+((C(2)\times 9)\times(C(9)+(7))))$
53103 := $((-(C(5))-C((C(3)-1)))\times(0-3))$
53133 := $(((5\times C(3))+C((-(1)+C(3))))\times 3)$
53163 := $(((5\times 31)\times C(6))+C(C(3)))$
53195 := $((C((-(5)+C(3)))-(1\times 9))\times 5)$
53225 := $(-((5\times 3))-(C(22)\times(-5)))$
53232 := $((5\times C((C(3)-(2+3))))-C(2))$
53235 := $((C((-(5)+C(3)))+((2-3)))\times 5)$
53240 := $(C((5+(3\times 2)))\times 40)$
53248 := $((5\times C(32))-C(48))$
53295 := $((C((-(5)+C(3)))+(2+9))\times 5)$
53325 := $-(((C((-(5)+C(3)))+C(3))-C((C(2)\times 5))))$
53352 := $(((C(5)+C(3))\times C(3))\times(5+C(2)))$
53396 := $((C((5+C(3)))+C(C(3)))+((C(9)+C(6))))$
53443 := $-((C(5)-((C(3)+(4))\times C((4\times 3)))))$
53475 := $((C((-(5)+C(3)))+47)\times 5)$
53488 := $((C(5)+(3^{C(4)/8}))\times 8)$
53545 := $(((-(C(5))-C((C(3)-(5))))+C(4))\times(-5))$
53564 := $(((5+(3^{5}))\times C(6))-(4))$
53565 := $(5\times(C((C(3)-(5)))+(65)))$
53625 := $((C(5)\times(-3))-((C(6)\times(-2))\times C(5)))$
53649 := $(((C(5)+C((3\times 6)))+(4))\times 9)$
53657 := $(((5-3)\times C((6\times 5)))-C(7))$
53752 := $((C(((5\times 3)+7))\times 5)+C(C(2)))$
53760 := $((C(5)+3)\times(7\times 60))$
53768 := $((-(C(5))-C(C(3)))+(C((7\times 6))-C(8)))$
53785 := $(-(5)\times((-((3\times 7))\times C(8))-(5)))$
53824 := $(((5+(3\times 8))^{2})\times C(4))$
53848 := $(((C(5)-C(3))+8)\times(-(4)+C(8)))$
53853 := $(((5\times C((C(3)-8)))-(C(5)))+C(C(3)))$
53875 := $(((53\times 8)+7)\times C(5))$

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53928 := $-((((C(5)-C(3))+9)\times(C(2)-C(8))))$
53973 := $((C((5\times 3))\times(9+7))-C(3))$
54143 := $(-(C((5+4)))+C(((1+C(4))-C(3))))$
54189 := $(((C(5)+C(4))+C(18))\times 9)$
54216 := $(((C(5)\times(4-2))+1)\times C(6))$
54243 := $(((5\times 4)\times C((C(2)+(4))))+C(C(3)))$
54272 := $((((C(5)-(4))-C(2))-(7))\times C(C(2)))$
54273 := $(-(((C(5)-C(42))+(7)))-C(C(3)))$
54275 := $(-(C(5))-(-(C(4))\times(C(C(2))+((C(7)-(5))))))$
54277 := $(5-(-(C(4))\times(C(C(2))-(7-C(7)))))$
54329 := $(5-((-(4)\times C(3))\times(C(C(2))-9)))$
54375 := $(C(5)+(((C(4)+C(3))+C(7))\times C(5)))$
54450 := $((C(5)-(4))\times 450)$
54500 := $-((C(5)\times(C(4)-(500))))$
54537 := $((((C(5)-C(4))+C(5))-C(3))\times C(7))$
54625 := $(C(5)\times(((-(4)\times C(6))/(-2))+(5)))$
54648 := $((5+C(4))\times((C(6)+C(4))+C(8)))$
54656 := $(C((5\times 4))+((6^5)\times 6))$
54662 := $((C((5\times 4))+(6))+C((6^2)))$
54665 := $((-((5^4))-C(6))\times(-65))$
54675 := $(C((54/6))\times 75)$
54725 := $((5+C((4\times 7)))+C((2^5)))$
54743 := $(-((C(5)+(4)))+C(((7+4)+C(3))))$
54747 := $(-(C(5))+C(((4+C((7-4)))+(7))))$
54781 := $(C(5)+(C(4)\times((C(7)+C(8))-1)))$
54784 := $((((5-4)+C(7))+C(8))\times C(4))$
54832 := $((-(5)+C(((C(4)/(-8))+C(3))))\times C(2))$
54852 := $(-((5\times 4))+C(((8\times 5)-2)))$
54867 := $(-(5)+C(((4-8)+(6\times 7))))$
54872 := $C(((((5\times 4)-8)+7)\times 2))$
54875 := $(C(5)\times(4+(87\times 5)))$
54900 := $((C(5)-C(4))\times 900)$
54925 := $(C(((54+9)+2))/5)$
54945 := $(((5\times C((4+9)))+(4))\times 5)$
54966 := $((C(5)\times((C(4)+9)\times 6))+C(6))$
54997 := $(C(5)+C((((4\times 9)+9)-7)))$
55245 := $(((5\times C((5+C(2))))+C(4))\times 5)$
55286 := $(-((5+5))-(-((2^8))\times C(6)))$
55323 := $((C(-((5-53)))/2)+C(3))$
55488 := $((C((5+5))\times(C(4)-8))-C(8))$
55523 := $(((C(5)-(55))\times C(C(2)))+C(C(3)))$
55566 := $(C((((5+5)+5)+6))\times 6)$
55621 := $(55-(-(6)\times C(21)))$
55625 := $(-(5)\times(((C(5)-C(6))+2)\times C(5)))$
55744 := $(((-(5)-(C(5)\times(-7)))\times C(4))+C(4))$
55832 := $(((5-C(5))-C((-(8)+C(3))))\times(-C(2)))$
55836 := $((C(((5\times 5)+8))+C(C(3)))+C(6))$
55872 := $((C(5)+C(((C(5)+8)/7)))\times C(2))$
55875 := $(((55\times 8)+7)\times C(5))$
55907 := $((C(5)\times(5\times 90))-C(7))$
55933 := $(-(((5^5)-9))+(3\times C(C(3))))$
55973 := $((C(-((5\times(5-9))))\times 7)-C(3))$
56175 := $(((C(5)\times(-6))+1)\times(-75))$
56223 := $((-(C(5))\times(62-C(C(2))))-C(3))$
56224 := $(56\times(C((C(2)+2))+(4)))$
56316 := $((C(5)+C((-(6)+C(3))))\times(1\times 6))$
56376 := $-((((C(5)-C((6+3)))+C(7))\times C(6)))$
56462 := $-(((C(5)-(6\times C(4)))\times(C(6)+2)))$
56544 := $(((-(5)-C(6))-C((-(5)+C(4))))+C(C(4)))$
56625 := $((-((C(5)-66))+C(C(2)))\times C(5))$
56644 := $(((C(5)-(6))^{6-4})\times 4)$
56673 := $((5+(-(6)\times(-(6)-C(7))))\times C(3))$
56683 := $((-(C(5))\times(C(6)-C(C(-((6-8))))))+C(C(3)))$
56722 := $((C(5)-((-(6)+C(7))^2))/(-2))$
56742 := $((C(5)\times(6-(-(7)\times C(4))))-C(2))$
56745 := $(-(5)-((-(6)+(-(7)\times C(4)))\times C(5)))$
56775 := $(((C(5)\times 6)+(7))\times 75)$
56826 := $(((C(5)-(6+8))\times C(C(2)))-(6))$
56832 := $((((C(5)+C(6))-8)/3)\times C(C(2)))$
56835 := $((((C(5)-C(6))+C(8))\times C(3))\times 5)$
56844 := $((C(5)-((C(6)+8)\times C(4)))\times(-4))$
56875 := $(((56\times 8)+7)\times C(5))$
57122 := $(((-(5)+C(7))^{1\times 2})/2)$
57143 := $((-(5)+C(71))-C((C(4)+3)))$
57168 := $(((C((5\times 7))+1)/(-6))\times(-8))$
57285 := $(57\times(C((2+8))+(5)))$
57293 := $((-(C(5))\times(7-C(C(2))))-C((-(9)+C(3))))$
57295 := $((5\times 7)\times(C(C(2))-(-(9)\times C(5))))$
57321 := $(-(C((5+7)))-(-(3)\times C(C((2+1)))))$
57331 := $((-(5)\times C(7))+(3\times(C(C(3))-1)))$
57332 := $((-(5)\times C(7))-((-(3)\times C(C(3)))+2))$
57334 := $(((-(5)\times C(7))-C(C(3)))-(C(C(3))\times(-4)))$
57344 := $((-(C(((5\times 7)-3)))+C(C(4)))/4)$
57367 := $((C((5+7))\times(C(3)+(6)))+C(7))$

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57375 := $((((-(5)-C(7))/(-3))+C(7))\times C(5))$
57564 := $((C(5)+C(7))\times(C(5)-(6-4)))$
57568 := $(((C(5)+(7))+C(5))\times(C(6)+8))$
57625 := $(C(5)\times(((7\times 6)\times C(2))+C(5)))$
57637 := $(C(5)-(-(7)\times(C(6)+C((C(3)-(7))))))$
57687 := $(((C(5)-(7+6))\times C(8))+C(7))$
57833 := $(-((C((5+7))-C(8)))+(3\times C(C(3))))$
57844 := $((C(5)-((-(7)\times C(8))\times 4))\times 4)$
57875 := $(((57\times 8)+7)\times C(5))$
57876 := $(C(5)-(((C(7)-C(8))\times C(7))+C(6)))$
57948 := $((C(5)+(7))\times((-(9)-C(4))+C(8)))$
58083 := $((-((5-80))\times C(8))+C(C(3)))$
58157 := $(((C(5)+C((8-1)))\times C(5))-C(7))$
58195 := $-(((C(5)+C((8+1)))-(9^5)))$
58239 := $((-(5)\times C((8-2)))+C(39))$
58243 := $(-(C(5))+((C(8)-C(-((C(2)-C(4))))))/(-3)))$
58293 := $((((5\times 8)\times 2)\times C(9))-C(3))$
58295 := $(-(5)\times((-((8\times 2))\times C(9))+(5)))$
58319 := $(C(((5+8)\times 3))-C((1+9)))$
58339 := $(-(5)+(((-(8)-C(C(3)))\times(-3))-(C(9))))$
58344 := $((5-C((8+3)))\times(-44))$
58368 := $((((5\times 8)\times 3)-6)\times C(8))$
58375 := $((C(5)\times(C((8-3))+C(7)))-C(5))$
58383 := $((-(5)-(C(8)\times 38))\times(-3))$
58393 := $(-(5)+(((C(8)+C(C(3)))-(C(9)))\times 3))$
58398 := $(-((5-8))\times(C(C(3))-(C(9)-C(8))))$
58437 := $((C(5)-C(8))\times((C(4)\times 3)-C(7)))$
58466 := $((C(5)\times(C(8)-46))+C(6))$
58500 := $((C(5)-8)\times 500)$
58532 := $(-(5)-((C(C((8-5)))\times(-3))+C(C(2))))$
58564 := $(((C(5)-8)+C(5))^{6-4})$
58596 := $(((-(5)+C(8))\times(C(5)-9))-C(6))$
58625 := $((C((5+8))-C((6\times 2)))\times C(5))$
58647 := $((C(5)+((8\times 6)))\times(-(4)+C(7)))$
58733 := $((C(-((5-8)))-C(7))+(3\times C(C(3))))$
58824 := $-(((C(5)-C(8))\times(C((8-2))-C(4))))$
58833 := $(-(C((5+(8/8))))+(3\times C(C(3))))$
58875 := $(((58\times 8)+7)\times C(5))$
58916 := $-(((C(5)+8)-(9^{-1+6})))$
58926 := $((-(5)+(C((8+9))\times 2))\times 6)$
58932 := $-((C(5)-((8+(9^{3+2})))))$
59049 := $(-(((5-90)+4))\times C(9))$
59167 := $(C(5)+((9^{-1+6})-(7)))$
59174 := $(C(5)+(9^{1^7+4}))$
59176 := $(((C(5)-9)\times C((1+7)))-C(6))$
59185 := $(-((C(5)+9))+C(-((1-(8\times 5)))))$
59224 := $((-((C(5)-9))\times(2-C(C(2))))+C(4))$
59276 := $((C(5)-9)\times(C(C(2))-(7-6)))$
59285 := $(((C(5)-9)\times(-(2)+C(8)))+C(5))$
59292 := $(((-(5)-C(9))+2)\times(-(9^2)))$
59293 := $((-(C(5))\times(-(9)-C(C(2))))-C((-(9)+C(3))))$
59296 := $(((C(5)-9)\times C(C(2)))-(96))$
59307 := $((-(5)+C((9+30)))-(7))$
59314 := $(-(5)+C(((9+C(3))-((1-4)))))$
59319 := $C(((((5\times 9)+3)\times 1)-9))$
59324 := $(5+C(-((9-(3\times(2^4))))))$
59332 := $((C(5)-C((93/3)))\times(-2))$
59333 := $(5+((-(93)-C(C(3)))\times(-3)))$
59373 := $((5+((C(9)\times 3)+(7)))\times C(3))$
59387 := $(-((5-(9\times(3^8))))+C(7))$
59392 := $((C(5)-9)\times C(-(((3-9)-2))))$
59433 := $(((C(-((5-9)))+C(4))+C(C(3)))\times 3)$
59435 := $((C(5)-9)+C((4+35)))$
59437 := $((C(5)+C(((9\times 4)+3)))-(7))$
59439 := $((-(5)+C((9-4)))+C(39))$
59444 := $(C(5)+C(-(((9-4)-44))))$
59450 := $(((C(5)\times 9)+C(4))\times 50)$
59464 := $((-(5)\times((9-C(4))\times C(6)))+C(4))$
59517 := $((C(5)+(9^5))+C((1\times 7)))$
59539 := $((C(5)+(95))+C(39))$
59554 := $((5+(9^5))-(C(5)\times(-4)))$
59562 := $(-((5-((9^5)+6)))+C(C(2)))$
59564 := $(((5+C(9))-(5^6))\times(-4))$
59582 := $(C((-((5-9))+C(-((5-8)))))\times 2)$
59583 := $((-((5-(9^5))))+C(8))+C(3))$
59616 := $(((59+C(6))+1)\times C(6))$
59624 := $(-((C(5)-9))\times((-(6)-C(C(2)))+(4)))$
59625 := $((C(5)\times(-9))\times((-(6)\times C(2))-(5)))$
59633 := $-((C(-((5-9)))-((C(6)+C(C(3)))\times 3)))$
59648 := $((((-(5)+C(9))+C(6))\times C(4))-C(8))$
59657 := $((-(5)+C((9+(6\times 5))))+C(7))$
59848 := $(((C(5)-9)\times(C(8)+(4)))-8)$
59875 := $(((59\times 8)+7)\times C(5))$
59895 := $((C(5)+C(9))-((8-(9^5))))$

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59968 := $(C(-((5-9))) \times ((C(9)+C(6))-8))$
60835 := $(C(-((60-83))) \times 5)$
60875 := $(((60 \times 8)+7) \times C(5))$
61233 := $(((C(6)+C(C((1 \times 2))))+C(C(3))) \times 3)$
61236 := $(-(6) \times ((C(12)-C(3)) \times (-6)))$
61344 := $(C(6) \times ((1+C(3))+(4^4)))$
61397 := $((((C(6)-1)-C(3))-9) \times C(7))$
61533 := $((C(6) \times (1-(C(5) \times (-3))))-C(C(3)))$
61625 := $((61+(C(6) \times 2)) \times C(5))$
61865 := $-((C((6+1))-(8 \times (6^5))))$
61875 := $(((61 \times 8)+7) \times C(5))$
61929 := $(C(6)+((C(19)-2) \times 9))$
61952 := $((C(6)-((1 \times 95))) \times C(C(2)))$
62125 := $(((-(6)+C(C(2)))-(1+C(2))) \times C(5))$
62208 := $((6^2) \times C((20-8)))$
62238 := $((6-C(C(2))) \times (2-C(-((3-8)))))$
62243 := $((C((6^2))-C((2^4)))+C(C(3)))$
62244 := $((C((C((6/2))-2))-C(4)) \times 4)$
62272 := $(-(C((6 \times 2)))+C((C(2) \times (7-2))))$
62304 := $((C(6)-(C(C(2)) \times (-30))) \times 4)$
62336 := $(((-(6)+C((C(2)+C(3))))+C(C(3)))-C(6))$
62375 := $(((-(6)+C((2^3)))-(7)) \times C(5))$
62389 := $(((C(6)+C(C(2)))-C(3)) \times 89)$
62391 := $((6 \times C(C(2)))-(C(39) \times (-1)))$
62424 := $(C(6)+(C((C(2)+C(4)))/(2+4)))$
62426 := $((C(6)+2)+(C((C(4)+C(2)))/6))$
62435 := $(-(C(62))+C(((C(4) \times 3)-C(5))))$
62452 := $((-(6) \times C(2))+(4 \times C((5^2))))$
62456 := $((C(6)-C((2 \times 4))) \times (5-C(6)))$
62458 := $(-(6)-(2 \times ((C(4)-C(5)) \times C(8))))$
62464 := $(C((6+2)) \times ((C(4)-(6))+C(4)))$
62494 := $(-(6)-(C(((2^4)+9)) \times (-4)))$
62502 := $(((6-2)+C(50))/2)$
62521 := $(((6-C(C(2))) \times (-C(5)))-C((C(2)+1)))$
62522 := $(-(C((6 \times 2)))+(-(C(5)) \times (-(2)-C(C(2)))))$
62524 := $((6+C(25)) \times (C(2)-(4)))$
62529 := $(((6-C(C(2))) \times (-C(5)))+(C(2)-C(9)))$
62534 := $(6-((C(C(2)) \times (-(C(5)-3)))-C(4)))$
62558 := $(C(C((6/2)))+C(-((5-(5 \times 8)))))$
62564 := $(C((6-2))+((5^6) \times 4))$
62587 := $((C(62)-C(5))-C((8 \times 7)))$
62634 := $(-(6) \times (C((2 \times 6))-C((C(3)-(4)))))$
62694 := $((C(6) \times ((-(2) \times C(6))-C(9)))/(-4))$
62712 := $(C(62)-C((7 \times C((1 \times 2)))))$
62726 := $((6+C(C(2)))+(C(72)/6))$
62736 := $(-(6) \times ((C(C(2)) \times (7-C(3)))-C(6)))$
62767 := $((((-(C(6))+C(C(2)))-(7)) \times C(6))+C(7))$
62784 := $(-(6) \times (C(C(2))-(C(7) \times (8 \times 4))))$
62856 := $(C(6) \times (285+6))$
62875 := $(((62 \times 8)+7) \times C(5))$
62964 := $(((C(6) \times (-2))+C(9)) \times (C(6)-(4)))$
62985 := $(((6 \times 2)+C(9)) \times 85)$
63125 := $((C(C((6/3)))-(-(1)+C(2))) \times C(5))$
63159 := $((6 \times C((C(3)-(1 \times 5))))-(C(9)))$
63238 := $((6 \times (C(C(3))+2))-C(38))$
63243 := $((-(6) \times (3-C(24)))-C(C(3)))$
63261 := $((C(6)-3) \times (C(C(2))-(C(6)-1)))$
63284 := $-((C(6)-(C((3+2)) \times (C(8)-(4)))))$
63288 := $(C(6) \times ((-(3)-C(-((2-8))))+C(8)))$
63293 := $(((6+C((C(3)+C(2))))+(C(9)))+C(C(3)))$
63325 := $(((C(6) \times (-3))-C(3))+C((C(2) \times 5)))$
63352 := $((C(6) \times (-3))+C(((C(3)+(5))+C(2))))$
63358 := $((-(6) \times (3-C((C(3)-(5)))))-C(8))$
63364 := $((C((-((6/3))+C(3)))+C(6)) \times 4)$
63423 := $(C((6+3)) \times (C(4)+(23)))$
63424 := $((C((6+34))-C(C(2)))-C(4))$
63425 := $(((6+C((C(3)-(4))))+C(C(2))) \times 5)$
63484 := $((C((6+34))-C(8))-(4))$
63488 := $((((6+C(3)) \times 4)-8) \times C(8))$
63504 := $(6 \times (C((C(3)-(5)))+(0-C(4))))$
63538 := $((-(6) \times (-(C(3))-C((-(5)+C(3)))))-C(8))$
63564 := $(6 \times (C((C(3)-(5)))-(C(6)/4)))$
63625 := $((-((6-3))+C((6+2))) \times C(5))$
63657 := $(C((((6/3)+6) \times 5))-C(7))$
63744 := $((C(((6-3)+7))-(4)) \times C(4))$
63782 := $(-(C(6))-((C((C(3)-(7))) \times (-8))+2))$
63784 := $-((C(6)-C(((3+7) \times (8-4)))))$
63822 := $(-(6) \times ((3+8)-C(22)))$
63824 := $((6 \times C(((3 \times 8)-2)))-C(4))$
63838 := $((-(6) \times C(3))+C(((8-3) \times 8)))$
63841 := $(C(6)+((-(3)+C(8)) \times C((4+1))))$
63855 := $((6+C(3)) \times ((C(8)-C(5)) \times 5))$
63856 := $(((C(6)/3)+C((8 \times 5)))-C(6))$
63875 := $(((63 \times 8)+7) \times C(5))$
63881 := $(6-(C(-((3-8))) \times (-(C(8)-1))))$

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63884 := $(((-(6)\times C((3+8)))\times(-8))-(4))$
63888 := $(6\times C(((38-8)-8)))$
63928 := $((-(C(6))\times(C(-((3-9)))-C(C(2))))-8)$
63936 := $((C(C((6/3)))-(C((9-3))))\times C(6))$
63958 := $(((-(6)-C(3))-9)+C((5\times 8)))$
63973 := $(C((6+((3\times 9)+7)))-C(3))$
63990 := $((-((6\times 3))+C(9))\times 90)$
63994 := $(-(6)+C((((3\times 9)+9)+4)))$
64002 := $((-(6)+C(40))+C(02))$
64003 := $((6+C(40))-03)$
64006 := $(6+C((40+(0\times 6))))$
64021 := $((-(6)+C(40))+C((2+1)))$
64022 := $(((6+C(40))+C(2))+C(2))$
64023 := $(((-(6)+C(40))+2)+C(3))$
64033 := $((6+C(40))+((3^3)))$
64043 := $(((6+C(40))+C(4))-C(3))$
64049 := $(((-(6)+C(40))+C(4))-9)$
64058 := $((-(6)+C(4))+C((05\times 8)))$
64064 := $(C(((6+40)-6))+C(4))$
64125 := $-(((C(6)-C(((4-1)^2)))\times C(5)))$
64127 := $((-(C(6))+C(((4+1)\times C(2))))+C(7))$
64152 := $(C(6)-(C(4)\times(1-C((5\times 2)))))$
64211 := $(6+((4^{C(2)})-C(11)))$
64216 := $(C(6)+C(-(((4\times 2)\times(1-6)))))$
64220 := $((C(6)+(4))+C((2\times 20)))$
64233 := $(((C(6)\times(-(4\times 2)))-C(C(3)))\times(-3))$
64242 := $(-(((6^4)-2))+(4^{C(2)}))$
64243 := $((C(6)+C((C(4)-(24))))+C(3))$
64248 := $((-((6^4))+C(2))+(4^8))$
64272 := $(-(6)\times(-(C(4))-C((C(2)+(7\times 2)))))$
64289 := $(-(6)+(((4^{C(2)})-C(8))-C(9)))$
64294 := $(C(6)-((C(C(4))-C((2\times 9)))/(-4)))$
64337 := $((-(6)+C((43-3)))+C(7))$
64357 := $(C(6)-(((C(4)\times(-3))+(5))\times C(7)))$
64384 := $((6\times C(4))+C((-((3\times 8))+C(4))))$
64385 := $((6+4)-((-(3)-C(8))\times C(5)))$
64405 := $(((C(6)+C(4))+C(40))+C(5))$
64407 := $((64+C(40))+C(7))$
64441 := $(((-(6)-C(4))\times C(4))+C(41))$
64448 := $((C(((6+4)\times 4))-C(4))+C(8))$
64456 := $((C(64)/4)+(-(5)\times C(6)))$
64457 := $((C(6)\times((4-C(4))\times(-5)))-C(7))$
64482 := $(((-(C(6))+C(C(4)))/4)-(C((8+2))))$
64511 := $((C(C((6-4)))\times(C(5)+1))-1)$
64512 := $(64\times((C(5)+1)\times C(2)))$
64518 := $(6-(C(4)\times((C(5)+1)\times(-8))))$
64522 := $(6+(4\times((C(5)+2)^2)))$
64524 := $((6\times 4)+(C(5)\times(C(C(2))+(4))))$
64547 := $-(((C(6)+C(4))-((C(5)+C(4))\times C(7))))$
64582 := $(((6+C(4))+C((5\times 8)))+C(C(2)))$
64657 := $((C((6+4))\times 65)-C(7))$
64729 := $(C((C((6-4))\times(7-2)))+(C(9)))$
64763 := $(-(64)+(C(7)\times(C(6)-C(3))))$
64768 := $(((6-4)^7)\times(-(6)+C(8)))$
64773 := $((C(6)/(-4))-(-(7)\times C((7\times 3))))$
64808 := $-(((C(6)-(4^8))+C(08)))$
64827 := $(((C((6+4))+C(8))/C(2))\times C(7))$
64842 := $((((C(6)-C(C(4)))+C(8))/(-4))-C(C(2)))$
64857 := $(((C(6)\times 4)+C((8\times 5)))-(7))$
64864 := $((C(6)\times((4+C(8))-C(6)))+C(4))$
64872 := $(-(C(6))-(C(4)\times(-((C(8)-(7)))-C(C(2)))))$
64875 := $(((64\times 8)+7)\times C(5))$
64923 := $((C((-(6)+C(4)))-C((9-2)))/3)$
64977 := $-((C(6)-((4^{C(9-7)})-C(7))))$
65016 := $(((6\times 50)+1)\times C(6))$
65119 := $(-(6)-(-(C(5))\times(C(C((1+1)))+9)))$
65178 := $-((C(6)+((C(5)+1)\times(-(7)-C(8)))))$
65187 := $(-((6-((5-1)^8)))-C(7))$
65232 := $((C((6\times 5))-C((2\times C(3))))/(-2))$
65268 := $(6-((-(C(5))\times(C(C(2))+(6)))-C(8)))$
65284 := $-((C(6)-(C(5)\times((C(2)+C(8))+(4)))))$
65342 := $-((((C(6)+(5))-C(3))-(4^{C(2)})))$
65344 := $(((6\times(C(5)+3))-C(C(4)))/(-4))$
65358 := $((C((6+5))+C(3))+C((5\times 8)))$
65384 := $-((C(6)-(((C(5)+3)\times C(8))+C(4))))$
65394 := $(-(C(6))+(5\times(C(C(3))-(9^4))))$
65417 := $((6-C(5))+(4^{1+7}))$
65433 := $(((6\times C(5))\times(C(4)-3))+C(C(3)))$
65442 := $((-((6\times 5))-C(4))+(4^{C(2)}))$
65444 := $(-((C(6)-C(5)))+((4-C(C(4)))/(-4)))$
65445 := $-(((C(6)-C(5))-(C(4)\times(4^5))))$
65469 := $(-(6)-(-(5)\times(C((4\times 6))-C(9))))$
65500 := $((6+C(5))\times 500)$

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65528 := $(-6+5+5)^{C(2)}-8$
65532 := $(6+((5-C((5+C(3))))\times(-2)))$
65542 := $(6+(((5-5)+4)^{C(2)}))$
65583 := $(((-(6)-C(5))+(5\times C(8)))\times C(3))$
65694 := $-((C(6)-((5\times 6)\times C((9+4)))))$
65728 := $((C(6)+C(((5+7)+C(2))))\times 8)$
65744 := $((C(6)-C(-((5-7))))+(C(C(4))/4))$
65745 := $((C(6)+C(-((5-74))))/5)$
65748 := $(((-(6)-C(5))+C(7))+(4^8))$
65752 := $(C(6)+(C((-((5-7))^5))\times 2))$
65772 := $((C(6)\times((-(5)-C(7))\times(-7)))/C(2))$
65832 := $(-(C(6))+(((C(5)-C(8))/(-3))\times C(C(2))))$
65869 := $(-(6)+(C(5)\times(C(8)+((6+9)))))$
65875 := $(((65\times 8)+7)\times C(5))$
65918 := $(((C(6)-C(5))\times(C(9)+1))-C(8))$
65928 := $(-(6)\times((C(5)\times(-92))+C(8)))$
65946 := $(-(6)\times((-(5)\times C((9+4)))-(6)))$
65952 := $((((C(6)-C(5))\times C(9))+C(5))-C(C(2)))$
66043 := $(((C(6)-C(60))+C(C(4)))+C(C(3)))$
66096 := $(C(6)\times((60-9)\times 6))$
66123 := $((C(6)\times(C(6)-(1^2)))+C(C(3)))$
66240 := $((C((6+6))+C(C(2)))+C(40))$
66312 := $(((6^6)-C(3))+C(C((1+2))))$
66313 := $(((6^6)+C(C(3)))-(-(1)+C(3)))$
66331 := $(((6^6)+C(C(3)))-C((3-1)))$
66333 := $(((6^6)+C(C(3)))-(3+3))$
66336 := $(((6^6)+C(C(3)))+((3-6)))$
66343 := $((((6\times 6)^3)+4)+C(C(3)))$
66352 := $(((6^6)+C(C(3)))+(5+C(2)))$
66373 := $(((6^6)+C(C(3)))+(7+C(3)))$
66394 := $(((6^6)+C(C(3)))-(9-C(4)))$
66403 := $(((6^6)+C(4))+C(C(03)))$
66448 := $((6\times(C(6)-C(4)))+(4^8))$
66528 := $(C(6)\times((6+5)\times 28))$
66542 := $(-(6)+((6+C(5))\times(-(4)+C(C(2)))))$
66744 := $(C(6)+(C(6)\times(7\times 44)))$
66856 := $(-(C(6))+(C(C(-((6-8))))\times(C(5)+(6))))$
66875 := $(((66\times 8)+7)\times C(5))$
67048 := $((C(6)\times 7)+(04^8))$
67193 := $(C(((6\times 7)-1))-C((9+3)))$
67229 := $(C((6\times 7))-C((C(2)+(2+9))))$
67240 := $((C(6)\times(7+C(2)))+C(40))$
67266 := $((-((C(6)-(7)))+C(C(2)))\times(C(6)+(6)))$
67375 := $((((C(6)+C(7))-C(3))+(7))\times C(5))$
67392 := $(C(6)\times((C(7)-39)+C(2)))$
67532 := $((C((6\times 7))+(5))-(3^{C(2)}))$
67544 := $((C(6)\times(-(7)+(5\times C(4))))-C(4))$
67547 := $(-(((6-(7^5))\times 4))+C(7))$
67582 := $(6+(((7+C(5))\times C(8))-C(2)))$
67584 := $((((C(6)-C(7))-(5))\times(-8))\times C(4))$
67585 := $(6+(((7+C(5))\times C(8))-(5)))$
67594 := $((6\times C(7))+(C(C(-((5-9))))/4))$
67645 := $(6-((C(7)+C(6))\times(4-C(5))))$
67683 := $((6\times C((-(7)+(C(6)/8))))+C(C(3)))$
67875 := $(((67\times 8)+7)\times C(5))$
67914 := $(((6+C(7))+C(9))\times(-(1)+C(4)))$
67928 := $(C(6)+(((7+C(9))^2)/8))$
67995 := $(((C(6)\times(-(7\times 9)))+9)\times(-5))$
68125 := $(((6+C(8))+C((1+2)))\times C(5))$
68256 := $(((C(6)/(-8))+C((2+5)))\times C(6))$
68257 := $((C(6)+((8-25)))\times C(7))$
68315 := $((((6-C(8))\times C(3))-1)\times(-5))$
68323 := $(((68+C(3))\times C(C(2)))+C(C(3)))$
68345 := $((C(68)-C((3+C(4))))\times 5)$
68375 := $(((68\times 3)+C(7))\times C(5))$
68392 := $(-(C(6))-(-((C((8-3))+9))\times C(C(2))))$
68448 := $(((C(6)+C(8))\times 4)+(4^8))$
68596 := $(-(6)+((C(8)\times(C(5)+9))-(6)))$
68599 := $((C(C(-((6-8))))\times(C(5)+9))-9)$
68625 := $((C(6)-C(8))+C(((6^2)+5)))$
68634 := $(-(6)\times((C(8)+C(6))-C((C(3)-(4)))))$
68644 := $(((6+C(8))\times 6)+(C(C(4))/4))$
68698 := $((6+8)\times(-(6)+C((9+8))))$
68768 := $((((C(6)/(-8))+C(7))\times C(6))+C(8))$
68782 := $((6+8)\times C(((7+8)+2)))$
68875 := $(((68\times 8)+7)\times C(5))$
68894 := $((6+C(8))\times(8+C((9-4))))$
68921 := $C(((((6\times 8)-9)+2)\times 1))$
68927 := $(6+C((((8+9)\times 2)+7)))$
68935 := $((6+8)+C(((9+C(3))+(5))))$
68948 := $((C(6)/8)+C((9+(4\times 8))))$
68957 := $(6+((C(8)\times(9+C(5)))+C(7)))$
68959 := $((C(6)-C(8))+(95\times C(9)))$

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68968 := $((C(6)-C(8))\times((-(9)-C(6))-8))$
69115 := $((C((C(6)/9))-1)\times(1\times5))$
69125 := $((C((C(6)/9))+(1^2))\times5)$
69135 := $(((C((C(6)/9))\times(-1))-3)\times(-5))$
69145 := $((C((C(6)/9))+(1+4))\times5)$
69216 := $(-(6)\times((C(9)-C(2))\times(-16)))$
69235 := $((C((C(6)/9))+23)\times5)$
69255 := $((C(6)-C(9))\times(-((2\times5))-C(5)))$
69279 := $((C(6)-(-(C(9))\times(C(C(2))+C(7))))/9)$
69345 := $((C(6)-9)\times((-(3)-C(4))\times(-5)))$
69375 := $(((6+9)\times37)\times C(5))$
69418 := $((-((6+9))+C(41))+C(8))$
69434 := $(-((C(6)-C(9)))+C(((C(4)-C(3))+(4))))$
69465 := $((-(69)-C((4\times6)))\times(-5))$
69475 := $((C((C(6)/9))+(C(4)+(7)))\times5)$
69552 := $(C(6)\times((C((9-5))\times5)+2))$
69598 := $-((C(6)+((9+C(5))\times(-(9)-C(8)))))$
69660 := $(((C(6)+C(9))+C(6))\times60)$
69776 := $-(((C(6)+C((9+7)))-C((7\times6))))$
69792 := $((6\times(9+7))\times(C(9)-2))$
69848 := $(C(6)+(((9\times8)+C(4))\times C(8)))$
69875 := $((C((6+9))\times8)+C((7\times5)))$
69912 := $((-(6)+C((9+9)))\times12)$
69944 := $((C(C(-((6-9))))-C((9+4)))\times4)$
69963 := $(6-((C(9)\times(-96))+C(3)))$
69969 := $(-(6)-((C(9)\times(-96))+9))$
69972 := $(-(6)\times((C(9)\times(-(9+7)))+2))$
69977 := $(((6\times C(9))\times(9+7))-(7))$
69982 := $((-(6)\times((C(9)+C(9))\times(-8)))-2)$
69984 := $(C(6)\times((9\times9)\times(8-4)))$
69993 := $(((69\times C(9))+9)+C(C(3)))$
70343 := $((7+C(C(03)))+C((C(4)-C(3))))$
70835 := $((C(7)+C((08\times3)))\times5)$
70875 := $(((70\times8)+7)\times C(5))$
71136 := $(-((C(7)-1))\times(C(-((1-3)))-C(6)))$
71168 := $((-((7\times11))+C(6))\times C(8))$
71284 := $(71\times(C((2+8))+(4)))$
71328 := $(((C(7)\times(-(1)+C(3)))-2)\times8)$
71344 := $(C(7)\times((13\times4)\times4))$
71362 := $(-(C((7+1)))+(C((C(3)+(6)))\times2))$
71496 := $((C(7)+(((1-4)-9)))\times C(6))$
71498 := $(-(7)\times((-(14)\times C(9))-8))$
71595 := $((-(C(71))-C(-((5-9))))/(-5))$
71625 := $(((C(71)+C(6))-2)/5)$
71687 := $(C(7)-(((-(1)\times C(6))+8)\times C(7)))$
71820 := $(-(7)\times((1+C(8))\times(-20)))$
71874 := $(C((-(7)+((1-C(8))/(-7))))/4)$
71875 := $(((71\times8)+7)\times C(5))$
71928 := $((C(7)-(1+9))\times C(-((2-8))))$
72063 := $((-(7)-C(20))\times(-(6+3)))$
72135 := $(-(7)\times(C((C(2)-1))-C((C(3)-(5)))))$
72233 := $(C(7)+(2\times(C(2)+C(33))))$
72235 := $(((C(7)-C(2))\times C((2\times3)))-C(5))$
72261 := $(((C(7)-C(2))-2)\times(C(6)+1))$
72296 := $(C(((7^2)-C(2)))+C((9+6)))$
72333 := $(((C(7)-C(2))\times C((3+3)))-C(3))$
72373 := $-((C(7)\times(C(2)-((3\times73)))))$
72424 := $(((C(7)-C(2))\times C((4+2)))+C(4))$
72441 := $((7\times C(C(2)))-((C(4)-C(41))))$
72485 := $(C(72)-C((C(4)+(8-5))))$
72568 := $(((-(7)+C((2+5)))\times C(6))-8)$
72576 := $(((7^{-2+5})-(7))\times C(6))$
72625 := $(((7+C(C(2)))+62)\times C(5))$
72633 := $((C(7)-2)\times((6^3)-3))$
72657 := $-(((C(7)+C(2))+(C(6)\times(5-C(7)))))$
72666 := $(((C(7)+2)\times(C(6)-(6)))+C(6))$
72667 := $-((C((7-2))-(C(6)\times(-(6)+C(7)))))$
72675 := $(C(7)-((2-C(6))\times(C(7)-(5))))$
72687 := $-((C(7)+((-(2)-C(6))\times(-(8)+C(7)))))$
72716 := $(C(7)\times((2+C((7-1)))-(6)))$
72759 := $-(((C(7)\times((C(2)-C(7))+C(5)))-C(9)))$
72875 := $(((72\times8)+7)\times C(5))$
72966 := $((C(((7\times2)+9))-(6))\times6)$
73125 := $((73+C(C((1\times2))))\times C(5))$
73144 := $((-(7)\times C((C(3)-((1-4)))))+C(C(4)))$
73164 := $(((C(7)-3)\times(-(1)+C(6)))+C(4))$
73174 := $(7-(-(3)\times C((1+(7\times4)))))$
73261 := $(C((7\times3))+C((C(2)\times(6-1))))$
73359 := $(C((7\times((3/3)+5)))-C(9))$
73376 := $-((C((7-3))+((3-C(7))\times C(6))))$
73576 := $-((C(C(((7+3)/5)))-(C((7\times6)))))$
73608 := $((C((7\times3))-(60))\times8)$
73612 := $(((C(7)-3)\times(C(6)-1))+C(C(2)))$
73622 := $((-(7)-C(C(3)))+(C((6^2))\times2))$
73629 := $(-((7-(3\times(6^2))))\times C(9))$

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73634 := $(((C(7)+3)\times(C(6)-3))-C(4))$
73656 := $((C(7)-((3-6)+5))\times C(6))$
73683 := $((-((7^3))-(-(6)\times C(8)))\times C(3))$
73736 := $-((C((7+3))-((C(7)+3)\times C(6))))$
73742 := $-(((C(7)+3)-C((7\times(4+2)))))$
73745 := $(C(7)\times((-((3\times 7))+C(4))\times 5))$
73766 := $-((((C(7)-C(3))-C((7\times 6)))+(6)))$
73772 := $(-((C(7)-C(3)))+C(-((7-(7^2)))))$
73783 := $(C(7)-(((3-C(7))\times 8)\times C(3)))$
73866 := $(((C((7\times 3))\times 8)-C(6))-(6))$
73875 := $(((73\times 8)+7)\times C(5))$
73928 := $(((C((-(7)+C(3)))+(C(9)))+C(C(2)))\times 8)$
73953 := $(C(-((7\times(3-9))))-(5\times C(3)))$
73968 := $((C((7\times 3))-((9+6)))\times 8)$
73985 := $(((-((7\times 3))\times C(9))+C(8))\times(-5))$
73994 := $(C(-((7\times(3-9))))-(94))$
74024 := $(C((7\times(4+02)))-C(4))$
74088 := $C((7\times((40+8)/8)))$
74125 := $((C(7)+(C((4+1))\times 2))\times C(5))$
74142 := $(C((7-4))\times(C(14)+2))$
74169 := $(((C(7)-(4-1))\times C(6))+C(9))$
74215 := $((C(7)+C(42))-C((1+5)))$
74216 := $(((C(7)+C(42))+1)-C(6))$
74245 := $-(((C(7)-C(42))+(-(4)\times C(5))))$
74252 := $(-(((C(7)-C(42))+(5)))+C(C(2)))$
74257 := $(-((C(7)-C(42)))+C(C(-((5-7)))))$
74262 := $((C(7)\times((4-2)+C(6)))-C(C(2)))$
74277 := $(C((7-4))\times(C((2\times 7))+(7)))$
74298 := $(((-(7)+C(42))+C(9))-C(8))$
74367 := $((C(7)-(4^3))+C((6\times 7)))$
74375 := $((((C(7)-C(4))-C(3))+C(7))\times C(5))$
74397 := $((-(7)+C(43))+(C(9)\times(-7)))$
74427 := $((C(7)-(4))+C(((4+2)\times 7)))$
74431 := $(C(7)+C(((44-3)+1)))$
74435 := $((C(7)+(4))+C(((C(4)-C(3))+(5))))$
74487 := $(-(7)\times((C(44)/(-8))+(7)))$
74522 := $(7\times(C(((4\times 5)+2))-2))$
74528 := $((7\times C(((4\times 5)+2)))-8)$
74536 := $(7\times C(((4^{5-3})+6)))$
74563 := $((C((7+4))\times 56)+C(3))$
74643 := $((7-(4^6))-(-(4)\times C(C(3))))$
74644 := $(((C(7)-(4))\times(C(6)+(4)))+C(4))$
74697 := $-((C(7)-((C(4)+(6))\times(C(9)+C(7)))))$
74736 := $((((7^4)/7)+3)\times C(6))$
74752 := $(((7+C(4))+75)\times C(C(2)))$
74763 := $(((C(7)-((4-7)))\times C(6))+C(3))$
74875 := $(((74\times 8)+7)\times C(5))$
74888 := $(((C(7)-(4))+C(8))\times 88)$
74948 := $((C(7)\times((C(4)-9)\times 4))-C(8))$
74952 := $((C(7)+(4))\times C(((9-5)+2)))$
75117 := $(((C(7)-C(5))+1)\times C((1\times 7)))$
75159 := $(((C(7)+(5))\times C((1+5)))-9)$
75164 := $(((C(7)+(5))\times C((1\times 6)))-(4))$
75175 := $(7+(C((5+1))\times(C(7)+(5))))$
75223 := $(-(C((7\times 5)))-((2-C(2))\times C(C(3))))$
75274 := $(((C(7)-C(5))\times(2+C(7)))+C(4))$
75375 := $(75\times(C((3+7))+(5)))$
75395 := $(((7^5)-C((3+9)))\times 5)$
75456 := $((C(C((7-5)))+C(4))\times(C(5)+(6)))$
75558 := $(-(7)+(5\times(C((5\times 5))-C(8))))$
75565 := $((C(C((7-5)))-(5^6))\times(-5))$
75625 := $((C(7)-((C(5)+(6))\times(-2)))\times C(5))$
75643 := $(C((7\times 5))+C(((C(6)\times 4)/C(3))))$
75676 := $((C(7)\times(5+C(6)))-(C(7)-C(6)))$
75712 := $((C(7)-(5))\times(C((7-1))+C(2)))$
75722 := $(((C(7)-C(5))\times(C(7)+2))+C(C(2)))$
75735 := $((((C(7)-C(5))+C(7))\times C(3))\times 5)$
75789 := $(-(7)\times(((-(5)\times C(7))+C(8))\times 9))$
75803 := $(C(7)\times(5-(-(8)\times C(03))))$
75816 := $(C((7+5))+C(((8-1)\times 6)))$
75867 := $(((7\times C(5))-C(8))\times(C(6)-(7)))$
75875 := $(((75\times 8)+7)\times C(5))$
75934 := $((-(7)+C(5))+((-(C(9))+C(C(3)))\times 4))$
76146 := $(C(7)\times(C(6)+((1^4)\times 6)))$
76173 := $((((7+C(6))-1)\times C(7))+C(3))$
76285 := $(C((7+6))+C((2+(8\times 5))))$
76489 := $(C(7)\times(6-((C(4)\times 8)-C(9))))$
76492 := $((C((7\times 6))-(-(4)\times C(9)))-C(C(2)))$
76532 := $((C(7)\times(C(6)+(5)))+C((3^2)))$
76584 := $(C((7\times 6))+((5\times C(8))-C(4)))$
76711 := $(((7+C(6))\times(C(7)+1))-1)$
76712 := $((7+C(6))\times(C(7)+(1^2)))$
76715 := $((-(7)+(C(6)\times(-71)))\times(-5))$
76816 := $((C(7)\times(C(6)+8))-(16))$

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76822 := $((C(7)\times(C(6)+8))+(-(2)-C(2)))$
76824 := $(((7\times C((6+8)))-2)\times 4)$
76825 := $(-(7)+((C(6)+8)\times C((2+5))))$
76827 := $((C(7)\times(C(6)+8))+((2-7)))$
76832 := $(C((7\times 6))+C((8+(3\times 2))))$
76833 := $((C(7)\times(C(6)+8))+(3/3))$
76848 := $(((-(C(7))+C((C(6)/8)))\times 4)-C(8))$
76874 := $(-(7)\times(-(6)+((-(8)\times C(7))\times 4)))$
76875 := $(((76\times 8)+7)\times C(5))$
76925 := $((C(7)\times(C(6)+9))+(-(2)\times C(5)))$
76957 := $((C(7)\times(C(6)+9))+(C(5)-C(7)))$
77168 := $(-(7)+(C(7)\times((1+C(6))+8)))$
77175 := $(C(7)\times((C(7)+(1\times 7))-C(5)))$
77264 := $((((C(7)+(7))+C(2))\times C(6))-C(4))$
77324 := $((((C(7)+(7))-C(C(3)))+2)\times(-4))$
77362 := $((-(C((7+7)))-C((C(3)+(6))))\times(-2))$
77364 := $((((7-C(7))+C(C(3)))-(6))\times 4)$
77374 := $((7+7)-((C(C(3))-C(7))\times(-4)))$
77437 := $(77-(-(4)\times(C(C(3))-C(7))))$
77463 := $-((C((7\times 7))-((C(4)-(6))^3)))$
77518 := $(C(7)\times((C(7)-C(5))+(1\times 8)))$
77566 := $(((-(7)-C(7))\times(-(5)-C(6)))+C(6))$
77648 := $(((C(7)+(7))\times C(6))-(-(4)\times C(8)))$
77653 := $(C((((7+7)+C(6))/5))-C(C(3)))$
77672 := $(-(7)\times(((-(7)\times C(6))\times 7)-C(C(2))))$
77673 := $(C(7)+((-(7)+C(6))\times(C(7)+C(3))))$
77679 := $(((-(7)+C(7))\times C(6))-(-(7)\times C(9)))$
77875 := $(((77\times 8)+7)\times C(5))$
77952 := $((-(7)+C(7))\times((9-C(5))\times(-2)))$
78125 := $(C((7+((8+1)\times 2)))\times 5)$
78262 := $((C(7)+((8\times 2)))\times(C(6)+2))$
78273 := $(-((C(7)-8))+(2\times C((7+C(3)))))$
78436 := $-((((C(7)+C(8))-C(43))+C(6)))$
78445 := $((C(-((7-(8\times 4))))+C(4))\times 5)$
78525 := $((((7\times 8)\times 5)^2)+C(5))$
78543 := $((-(7)\times C((8-5)))-(-(4)\times C(C(3))))$
78622 := $(((C(7)+8)\times(C(6)+C(2)))-2)$
78624 := $((C(7)+8)\times(C(6)+(2\times 4)))$
78634 := $(-((7\times(8+6)))-(C(C(3))\times(-4)))$
78652 := $(-((C(7)-C(((8\times 6)-5))))-C(C(2)))$
78679 := $(C(7)+(C(8)\times(C(6)-((7\times 9)))))$
78732 := $(C((((-(7)+C(8))-C(7))/3))/2)$
78733 := $(-((7-8))-(-((7-3))\times C(C(3))))$
78836 := $((C(78)-(C(8)\times 3))/6)$
78848 := $(((7\times 88)/4)\times C(8))$
78875 := $(((78\times 8)+7)\times C(5))$
78993 := $((C(((C(7)+8)/9))-9)+C(C(3)))$
79216 := $((C(7)+(9\times C(C(2))))\times 16)$
79233 := $(C(7)\times((9-2)\times 33))$
79244 := $((C(7)+(C(9)\times 2))\times 44)$
79247 := $(-(7)\times((C(9)\times(-(2^4)))+C(7)))$
79375 := $(C(((7+9)+C(3)))-(7+C(5)))$
79437 := $((-((7\times 9))+C(43))-(7))$
79443 := $(-(((7+9)\times 4))+C(43))$
79454 := $(-(7)-(C(9)\times(-(45)-C(4))))$
79468 := $((7+C(9))+(4\times C((C(6)/8))))$
79473 := $((-(7)+C(((9\times 4)+7)))-C(3))$
79483 := $(C((7+(9\times 4)))-((8\times 3)))$
79494 := $(C((7+(9\times 4)))-(9+4))$
79507 := $C(-(((C(7)-C(9))+C(((5\times 0)+7)))))$
79522 := $((7+C(((9\times 5)-2)))+C(2))$
79523 := $((7+9)+C(((5\times C(2))+3)))$
79524 := $((((7+9)+C(5))^2)\times 4)$
79576 := $(C(7)\times((C((9-5))\times 7)-C(6)))$
79586 := $(79+C(-((5-(8\times 6)))))$
79643 := $(((C(7)+9)-C(6))+C(43))$
79723 := $(C(-(((C(7)-C(9))+C(7))))+(C((2\times 3))))$
79725 := $((C(7)+C((C(9)-(C(7)\times 2))))-(C(5)))$
79859 := $((C(7)+9)+C(((C(8)-C(5))/9)))$
79875 := $(((79\times 8)+7)\times C(5))$
80875 := $(((80\times 8)+7)\times C(5))$
81243 := $((8+C(12))+C(43))$
81648 := $(81\times(C((6+4))+8))$
81875 := $(((81\times 8)+7)\times C(5))$
81920 := $(C(8)\times(-((1-9)\times 20)))$
82125 := $((C((8+2))-C((-(1)+C(2))))\times C(5))$
82432 := $-((C(8)-(C(24)\times(3\times 2))))$
82472 := $((C(8)-(24))\times(-(C(7))+C(C(2))))$
82568 := $(-(C(8))-(((C(C(2))-(C(5)))\times(-C(6)))+C(8)))$
82593 := $(C((8+25))+C((9+C(3))))$
82649 := $((C(8)\times((C(2)+C(6))-C(4)))+C(9))$
82693 := $(-(8)-(((C(C(2))\times(-6))+9)\times C(3)))$
82755 := $(((C(8)/(-2))+(7^5))\times 5)$
82837 := $(-(C(8))+((C(-((2-8)))+C(3))\times C(7)))$

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82875 := $(((82 \times 8) + 7) \times C(5))$
82896 := $((-(8) + C((C(-((2 - 8)))/9))) \times 6)$
82936 := $(-(8) + ((-((2^9)) \times C(3)) \times (-6)))$
82944 := $(((C((8 - 2))/9)^4)/4)$
83125 := $(((C((8 + 3)) - 1)/2) \times C(5))$
83166 := $(((C((8 \times 3)) + 1) \times 6) + C(6))$
83267 := $(C(8) - (C(3) \times ((C(C(2)) \times (-6)) + (7))))$
83287 := $((C((8 \times 3)) \times (-(2 - 8))) + C(7))$
83346 := $(((C((8 \times 3)) + 3) + C(4)) \times 6)$
83349 := $(C((8 + ((3 \times 3) + 4))) \times 9)$
83368 := $(-(8) + ((C(C(3)) - C((C(3) - (6)))) \times 8))$
83373 := $((8 + (3 \times C((3 \times 7)))) \times 3)$
83376 := $((8 \times C((3^3))) - C((7 \times 6)))$
83528 := $(8 \times ((C(3) \times (-(C(5)) + C(C(2)))) - 8))$
83563 := $(-(8) - ((C((C(3) - (5))) \times (-6)) - C(C(3))))$
83564 := $(C(8) - ((C(C(3)) - (-(5) \times C(6))) \times (-4)))$
83586 := $(((-(8) \times C(3)) \times (C(5) - C(8))) - (6))$
83618 := $(C(8) + ((C(3) \times 6) \times (1 + C(8))))$
83683 := $(C((((8 + 3) - 6) \times 8)) + C(C(3)))$
83685 := $((8 + C(C(3))) + (-(6) + C((8 \times 5))))$
83750 := $((C(8) - (3^7)) \times (-50))$
83789 := $(C(8) + ((C((3 \times 7)) - 8) \times 9))$
83853 := $(-(C((8 + 3))) - (-(8) \times C((-(5) + C(3)))))$
83875 := $(((83 \times 8) + 7) \times C(5))$
83959 := $((C(8) \times (39 + C(5))) - 9)$
84125 := $(((8 - C(4)) + C((1 + C(2)))) \times C(5))$
84375 := $(C((C(8) - 437))/5)$
84456 := $((((8 \times C(4)) + (4)) - C(5)) \times C(6))$
84463 := $((8 + C(44)) - C((6 + 3)))$
84469 := $(((8 + C(44)) + (6)) - C(9))$
84472 := $((-(8) + C(C(4))) - ((4 + C(7)) \times C(C(2))))$
84495 := $(C((-(8) + C(4))) - (-(4) + C((9 \times 5))))$
84544 := $(((C(8)/(-4)) \times 5) + C(44))$
84666 := $(((8 + (C(4) \times 6)) \times C(6)) - (6))$
84668 := $-(((C(8) + (4)) - C(((6 \times 6) + 8))))$
84671 := $((((8 - C(4)) \times C(6)) \times (-7)) - 1)$
84672 := $((-(8) \times C(4)) + C(((6 \times 7) + 2)))$
84683 := $(-((C(8) \times (C(4) - C(6)))) + C((-(8) + C(3))))$
84721 := $((C(84) + C(7))/(C(2) - 1))$
84736 := $(8 \times (C((4 + 7)) + C((C(3) - (6)))))$
84744 := $(8 + ((C(4) \times (-7)) + C(44)))$
84875 := $(((84 \times 8) + 7) \times C(5))$
84892 := $((C((-(8) + C(4))) - (8 \times C(9)))/2)$
84928 := $(C((8 + (4 \times 9))) - (2^8))$
84964 := $((C((8 + (4 \times 9))) - C(6)) - (4))$
84967 := $(C(8) + ((C(4) - C(9)) \times (C(6) - C(7))))$
84992 := $(C(8) \times (4 + ((9 \times 9) \times 2)))$
85136 := $(8 \times (C((-(5) + C((1 \times 3)))) - (6)))$
85144 := $(-((8 \times 5)) + C((1 \times 44)))$
85173 := $((-(8) + C((51 - 7))) - 3)$
85176 := $((-(8) + C(5)) \times (C((1 + 7)) + C(6)))$
85177 := $((8 \times C((5 + 17))) - (7))$
85182 := $(C(((C(8) - C(5)) - C(-((1 - 8))))) - 2)$
85184 := $C(((((8 - 5) \times 1) + 8) \times 4))$
85192 := $(8 + C(((51 - 9) + 2)))$
85222 := $((8 \times (5 + C(22))) - 2)$
85223 := $((((8^5) + 2) \times 2) + C(C(3)))$
85224 := $((C(8) \times (5 + C(22)))/C(4))$
85244 := $((8 + 52) + C(44))$
85245 := $(C(-((8 - 52))) - (C(4) - C(5)))$
85248 := $(C(-((8 - 52))) + C(-((4 - 8))))$
85249 := $-((C(8) - ((C(5) - C(2)) \times (4 + C(9)))))$
85293 := $(((8 + C((5 + 2))) \times C(9))/3)$
85312 := $(-(8) + (5 \times (C((C(3) - 1)) - C(C(2)))))$
85317 := $((8 + C(5)) + C((C(3) + (17))))$
85325 := $((8 \times (C((-(5) + C(3))) + 2)) + (C(5)))$
85332 := $((8 + 5) \times (3 + (3^{C(2)})))$
85339 := $(C(((8 \times 5) + 3)) + C((C(3) - 9)))$
85344 := $(((8 + C(5)) + C(3)) + C(44))$
85366 := $(-((8^5)) - ((C(C(3)) + (6)) \times (-6)))$
85373 := $((8 \times C((-(5) + C(3)))) + (7 \times C(3)))$
85464 := $((C(((8 \times 5) + 4)) + C(6)) + C(4))$
85527 := $(C(((C(8) - C(5)) - C((5 + 2)))) + C(7))$
85568 := $(((C(8) - C(5)) - (5)) \times (C(6) + 8))$
85625 := $(((C(8) + C(5)) + (6 \times C(2))) \times C(5))$
85672 := $(8 \times (C(5) - (C(6) \times (-(7^2)))))$
85683 := $(((C(8) - (5))^{-6+8})/3)$
85688 := $(((-(8) + C(5)) \times (C(6) + C(8))) + C(8))$
85723 := $((C(8) + C(-((5 - (7^2))))) + C(3))$
85727 := $(((8 - C((5 \times 7))) \times (-2)) - (7))$
85742 := $(((-(8) + C((5 \times 7))) + (4)) \times 2)$
85745 := $(((-(8) \times C((5 \times 7)))/(-4)) - (5))$
85752 := $(-(8) + ((-(5) - C((7 \times 5))) \times (-2)))$
85772 := $(8 - ((C((5 \times 7)) + (7)) \times (-2)))$

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85782 := $(((8+C((5\times 7)))+8)\times 2)$
85875 := $(((85\times 8)+7)\times C(5))$
85948 := $(C(C((8-5)))+(C(9)+(4^8)))$
85952 := $(C((8\times 5))+C(((9+5)\times 2)))$
86044 := $(860+C(44))$
86203 := $(C((8\times 6))-C((2+C(03))))$
86239 := $-((C(8)+((6-C((2+3)))\times C(9))))$
86247 := $-((C(((-(8)+C(6))/C(2)))-C(47)))$
86272 := $(((C(8)\times 6)-C((C(2)\times 7)))/(-2))$
86344 := $(C(8)+((C(6)\times 3)+C(44)))$
86357 := $((C((8+6))\times 3)+(5^7))$
86375 := $(((C(8)+C(6))-37)\times C(5))$
86442 := $((-(86)+C(C(4)))-C((C(4)-C(2))))$
86523 := $(8-(-(65)\times C((C(2)+3))))$
86526 := $(-((C(8)-(6)))\times((C(5)-C(C(2)))+C(6)))$
86528 := $((8^6)-C(((5+2)\times 8)))$
86632 := $((C(8)+C(6))\times(-(6)+C((3+2))))$
86750 := $(((-(8)\times C(6))-(7))\times(-50))$
86779 := $(((C(8)-(6))\times C(7))/(-(7-9)))$
86784 := $((C(8)\times(-678))/(-4))$
86813 := $(((-(8)+C(6))\times C(8))-C(C((1\times 3))))$
86875 := $((8+687)\times C(5))$
86932 := $((C((8\times 6))+C(9))-C((C(3)+2)))$
86967 := $(C((8\times 6))-(C((9+6))\times 7))$
87204 := $((C(8)-C(7))\times(C(C(2))+04))$
87249 := $((-((C((8\times 7))+C(2)))+C(C(4)))+(C(9)))$
87288 := $(((C((8\times 7))/2)-C(8))-8)$
87336 := $(((C(8)+C(C((7-3))))/3)-C(6))$
87424 := $((-(8)-((C(7)\times(-4))-2))\times C(4))$
87439 := $(((C(8)+(7))+(C(C(4))\times 3))/9)$
87464 := $-((C(8)-(((C(7)+C(4))\times C(6))+C(4))))$
87493 := $(((-(8)+C(7))+(4^9))/3)$
87552 := $(C(8)\times((C(7)-(5/5))/2))$
87625 := $((C(8)+(7\times C((6/2))))\times C(5))$
87648 := $(8+((C(76)+C(C(4)))/8))$
87711 := $((C(8)+(7))\times(-(C(7))+C(C((1+1)))))$
87723 := $(((C(8)+(7/7))^2)/3)$
87744 := $(((-(8)\times C((7+7)))\times(-4))-C(4))$
87799 := $((C((8\times 7))/(-(7-9)))-9)$
87812 := $((8+C((7\times 8)))/(1\times 2))$
87864 := $(8\times(7-(C((8+6))\times(-4))))$
87875 := $(((87\times 8)+7)\times C(5))$
87928 := $(8\times(C(7)-(C((9+2))\times(-8))))$
87992 := $(((8+7)\times C((9+9)))+C(C(2)))$
88387 := $((C(8)+(8+3))\times(C(8)-C(7)))$
88464 := $(((-(C(88))-C(C(4)))\times(-6))/C(4))$
88568 := $(-(8)+(C(8)\times(C(5)+((6\times 8)))))$
88576 := $(C(8)\times(-((8+(5\times 7)))+C(6)))$
88725 := $((C(8)\times(C(8)-C(7)))+C((C(2)+(5))))$
88726 := $((-((8\times 8))-C(7))\times(-(2)-C(6)))$
88768 := $(C(88)-C((76+8)))$
88875 := $(((8\times 88)+7)\times C(5))$
89125 := $(((-(8)+C(9))-C((1\times 2)))\times C(5))$
89341 := $(((8+C(9))+C(C(3)))+C(41))$
89344 := $((C(8)\times((C(9)-C(3))-(4)))/4)$
89352 := $(((C(8)+9)+C((C(3)-(5))))\times C(2))$
89373 := $(C((((8\times 9)/3)+7))\times 3)$
89381 := $(8-(C(93)/(-(8+1))))$
89549 := $(((-(8)+C(9))\times C(5))-(C(4)\times 9))$
89625 := $(((-(8)+C(9))-(6-2))\times C(5))$
89738 := $(-(C(8))+((C(9)-(7))\times C(-((3-8)))))$
89765 := $(((C(8)-97)\times C(6))+C(5))$
89792 := $((C(8)\times 9)+C(((C(7)+9)/C(2))))$
89856 := $(((C(8)\times 9)\times(-(8)+C(5)))/6)$
89875 := $(((89\times 8)+7)\times C(5))$
89928 := $((8\times 9)\times((C(9)+C(2))+C(8)))$
90125 := $((C(9)-C(((0\times 1)+2)))\times C(5))$
90396 := $-((C(9)-C((039+6))))$
90549 := $(C((9\times 05))-(C(4)\times 9))$
90625 := $((C(9)-(06-2))\times C(5))$
90782 := $((C(90)-(C(7)\times 8))/C(2))$
90875 := $(((90\times 8)+7)\times C(5))$
91125 := $C((9+11)+25))$
91134 := $(9+C((11+34)))$
91145 := $((9+11)+C(45))$
91359 := $((9\times(-(1)+C(3)))+C((5\times 9)))$
91395 := $(((9+1)\times C(3))+C((9\times 5)))$
91445 := $(C((9\times(1+4)))+(C(4)\times 5))$
91512 := $(((C(9)-1)\times C(5))+C(C((1\times 2))))$
91525 := $((C(9)+C((1+(5^2))))\times 5)$
91625 := $((C(9)+((1\times 6)-2))\times C(5))$
91657 := $(((C(9)+(1+6))\times C(5))-C(7))$
91729 := $(((C(9)-1)\times C((7-2)))+C(9))$
91845 := $((-(9)+C((1+8)))+C(45))$
91852 := $((C(9)+C(((1+8)\times 5)))-2)$

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91853 := $((C(9)-1)+C(-((8-53))))$
91854 := $(C(9)+C((1+((8\times 5)+4))))$
91855 := $((C(9)+1)+C(((8\times 5)+5)))$
91875 := $(((91\times 8)+7)\times C(5))$
91945 := $((91+C(9))+C(45))$
92045 := $(920+C(45))$
92088 := $(9\times((20\times C(8))-8))$
92125 := $((C(9)+C(2))\times 125)$
92205 := $(9\times((C(C(2))\times 20)+(5)))$
92279 := $(((C(9)-C(2))\times(2^7))-9)$
92288 := $((C(9)-C(2))\times((2\times 8)\times 8))$
92344 := $((C((9+2))+C(3))\times(C(4)+(4)))$
92376 := $(((9\times C(C(2)))\times(C(3)-(7)))+C(6))$
92453 := $((C((9+2))+C(45))-3)$
92475 := $(9\times(((C(C(2))\times 4)+(7))\times 5))$
92527 := $((C(9)\times(2+C(5)))-(C(2)\times 7))$
92573 := $((C(9)\times(2+C(5)))-(7+3))$
92575 := $((C(9)\times(2+C(5)))-C((7-5)))$
92582 := $((C(9)\times(2+C(5)))-(8/C(2)))$
92583 := $(C(9)\times(-(2)+((C(5)-C(8))/(-3))))$
92591 := $(9+(((2+C(5))\times C(9))-1))$
92592 := $((9-C(-((2-59))))/(-2))$
92593 := $(-(C(9))-(2\times(-(5)-C((9+C(3))))))$
92596 := $((C(9)-C(2))+(C(5)\times(C(9)+(6))))$
92610 := $(C((9+(2\times 6)))\times 10)$
92625 := $(((C(9)+C(2))+(6-2))\times C(5))$
92648 := $((9\times C(26))-(4^8))$
92662 := $(((C(9)-C(C(2)))+C(6))\times(C(6)-2))$
92672 := $(-((C((9+2))+(C(6)\times(-7))))\times C(C(2)))$
92837 := $((C(9)+2)\times((-(8)\times C(3))+C(7)))$
92875 := $(((92\times 8)+7)\times C(5))$
93042 := $((-(C(9))+C(C(3)))-(0-C(42)))$
93125 := $((C(9)+((3+1)^2))\times C(5))$
93170 := $(C(((9+3)-1))\times 70)$
93184 := $((-(((9^3)-1))\times C(8))/(-4))$
93238 := $(((9-3)\times C((-(2)+C(3))))-C(8))$
93244 := $((C((9+C(3)))\times 2)+(-(4)-C(4)))$
93248 := $((C((9+C(3)))\times 2)-C(-((4-8))))$
93256 := $((C((9+C(3)))\times 2)-(56))$
93285 := $((C((9+C(3)))\times 2)-C((8-5)))$
93294 := $((9-C(3))+(2\times C((9\times 4))))$
93311 := $((C((9+C(3)))\times(3-1))-1)$
93312 := $((9\times(3+3))\times C(12))$
93322 := $((C((9+C(3)))+(3+2))\times 2)$
93339 := $((C((9+C(3)))+C(3))+C((C(3)+9)))$
93375 := $((C(9)-((3-(3\times 7))))\times C(5))$
93382 := $((C((9+C(3)))+(C(3)+8))\times 2)$
93464 := $-((C(((9+C(3))+(4)))-C((C(6)/4))))$
93465 := $(93\times(C((4+6))+(5)))$
93479 := $-((C(9)-((C(3)-(4))\times C((7+9)))))$
93526 := $((C(9)\times(3+C(5)))-(2-C(6)))$
93528 := $((C(9)\times(3+C(5)))+C(-((2-8))))$
93529 := $(((C(9)\times(3+C(5)))-C(C(2)))+(C(9)))$
93537 := $((9+C(35))+C(37))$
93548 := $(((C(9)+3)\times C(5))-(-(4)\times C(8)))$
93552 := $((C((9+C(3)))-(5-C(5)))\times 2)$
93562 := $((C((9+C(3)))+(C(5)))\times(-(6)+C(2)))$
93625 := $((C(9)+((3\times 6)+2))\times C(5))$
93654 := $((C(9)-3)\times(65+C(4)))$
93685 := $(C((9+36))-(C(8)\times(-5)))$
93734 := $((9\times(C(C(3))-C((7\times 3))))-C(4))$
93761 := $((-(9)+C(C(3)))+((C((7\times 6))-1)))$
93771 := $(C((9\times 3))+C((7\times(7-1))))$
93794 := $(((-(9)\times C(3))\times(C(7)-C(9)))-(4))$
93824 := $((-(((C(9)+3)\times C(8)))-C(C(2)))/(-4))$
93875 := $(((93\times 8)+7)\times C(5))$
93952 := $-((C(((9\times 3)+9))-C(52)))$
94041 := $(C(9)\times(4+C((04+1))))$
94125 := $((C(9)+((4-1)\times C(2)))\times C(5))$
94157 := $(((C(9)+C((4-1)))\times C(5))-C(7))$
94176 := $(((94-1)+C(7))\times C(6))$
94262 := $((C(((9-4)^2))\times 6)+C(C(2)))$
94326 := $((9\times C(4))-(C((C(3)-2))\times(-6)))$
94427 := $((C(9)\times((C(4)+C(4))+2))-C(7))$
94436 := $((-(9)+C(44))+C((C(3)-(6))))$
94438 := $-(((C((-(9)+C(4)))-C(C(4)))+C((3+8))))$
94553 := $((C(9)\times(4+C(5)))+C((5+3)))$
94558 := $((C(9)\times(4+C(5)))+(5+C(8)))$
94625 := $(((C(9)+C(4))-((6^2)))\times C(5))$
94824 := $(((-(9)-C(4))+C(8))\times C((2+4)))$
94875 := $(((94\times 8)+7)\times C(5))$
94968 := $((9-((C(4)-9)\times C(6)))\times(-8))$
95125 := $(((C(9)+(5))+C((1+2)))\times C(5))$
95221 := $(C((9\times 5))+C((C(2)\times(2\times 1))))$

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95232 := $(((C((9-5))-2)\times 3)\times C(C(2)))$
95247 := $(9\times(((-(5)\times C(C(2)))\times(-4))+C(7)))$
95263 := $((C(95)-C(2))/(6+3))$
95297 := $-((C(9)-((C(5)+C(2))\times(C(9)-(7)))))$
95365 := $((((C(9)-C(5))-C(C(3)))+(6))\times(-5))$
95368 := $(((9+C(5))-3)\times(C(6)+C(8)))$
95375 := $(C((9\times 5))+((C(3)+(7))\times C(5)))$
95384 := $((9\times C((-(5)+C(3))))-(C(8)-C(4)))$
95395 := $(((C(9)-C(5))-(3^9))\times(-5))$
95424 := $((-(9)-(C(5)\times(-(4)-C(2))))\times C(4))$
95472 := $(9\times((-(5)+C((4+7)))\times C(2)))$
95490 := $(((9\times C(5))-C(4))\times 90)$
95499 := $((95+(4\times 9))\times C(9))$
95625 := $(C((9\times 5))-(-((6^2))\times C(5)))$
95627 := $((C(9)\times(C(5)+(6)))+(2^7))$
95697 := $((((9\times 5)\times 6)+9)\times C(7))$
95774 := $((C((C((9-5))+(7)))+(7))-C(C(4)))$
95787 := $(9\times(-(5)+C(((7+8)+7))))$
95823 := $(-(9)-(C((58+C(2)))/(-3)))$
95832 := $(9\times C(((5+8)+(3^2))))$
95835 := $(((-((9-5))-C(8))+C(C(3)))\times 5)$
95838 := $(-(9)+((-(5)\times(C(8)-C(C(3))))-8))$
95875 := $(((95\times 8)+7)\times C(5))$
95877 := $(9\times(5+C(((8+7)+7))))$
96125 := $((C(9)+((6-1)\times C(2)))\times C(5))$
96159 := $((C(9)-(6))\times((-(1)+C(5))+9))$
96192 := $(96\times(C((1+9))+2))$
96224 := $((C(9)\times(6\times 22))-(4))$
96228 := $(C(9)\times((62\times 2)+8))$
96256 := $(C(((9\times 6)-C(2)))+(-(5)\times C(6)))$
96285 := $((C(9)+(6))\times((2^8)-C(5)))$
96354 := $(9\times((-(6)+C((C(3)-(5))))+C(4)))$
96435 := $((-(9)\times(C(6)+(4)))-(C(C(3))\times(-5)))$
96462 := $((9-C(6))\times(46-C(C(2))))$
96625 := $(((C(9)+(6\times 6))+C(2))\times C(5))$
96634 := $-(((C(-((9-66)))-C(C(3)))-C(C(4))))$
96643 := $(-(((C(9)+C(6))\times C(6)))+C((C(4)+3)))$
96759 := $(-(9)-((C(6)\times(-7))\times C(-((5-9)))))$
96768 := $((C((9-6))\times 7)\times C(C(-((6-8)))))$
96783 := $((9+6)-(-(7)\times C((8\times 3))))$
96822 := $((C(((9\times 6)-8))-2)-C(C(2)))$
96823 := $-(((C(9)-C(6))-(8\times C(23))))$
96824 := $(C(((9\times 6)-8))-C((2\times 4)))$
96875 := $(((96\times 8)+7)\times C(5))$
96957 := $(C(9)\times(((C(6)/9)-(5))\times 7))$
97125 := $((C(9)+((7-1)\times C(2)))\times C(5))$
97152 := $((C(9)+(7))\times((-(1)+C(5))+C(2)))$
97173 := $(((9\times C(7))+C((1+7)))\times C(3))$
97327 := $(-(9)+C((73-27)))$
97328 := $(C((((9+7)\times 3)-2))-8)$
97333 := $(C((((9+7)+3)+C(3)))-3)$
97335 := $((((C(9)-(7))\times C(3))-C(3))\times 5)$
97336 := $C(((9+73)-36))$
97338 := $((9-7)+C(((C(3)+C(3))-8)))$
97343 := $(-((C(9)+C(7)))+((C(C(3))\times 4)+C(C(3))))$
97345 := $(9+C(((7+34)+5)))$
97416 := $((((C(9)-C(7))+C(4))+1)\times C(6))$
97433 := $(97+C((43+3)))$
97462 := $(-(((C(9)-C(7))-C(46)))+C(C(2)))$
97469 := $(C(9)-(-(7)\times(-(4)+C((C(6)/9)))))$
97479 := $(((-(9)-C(7))\times(C(4)-C(7)))-C(9))$
97524 := $(-((9\times 7))\times((-(C(5))+C(C(2)))\times(-4)))$
97532 := $(C(9)-(-(7)\times(5+C((3\times C(2))))))$
97534 := $((((C(9)-(7))\times 5)\times C(3))+C(4))$
97572 := $(((9\times 7)+C(5))\times(7+C(C(2))))$
97625 := $-(((C(9)+((-(7)\times C(6))+2))\times C(5)))$
97678 := $((C(9)\times((7-C(6))+C(7)))-8)$
97686 := $((-((C(9)+C(7)))\times C((C(6)/8)))/(-C(6)))$
97735 := $(-((C(9)-((7\times 7))))-(C(C(3))\times(-5)))$
97746 := $(-(9)+(C(7)\times((C(7)-C(4))+(6))))$
97764 := $(9+(C(7)\times((C(7)+(6))-C(4))))$
97846 := $((-((9-7))+C(8))+C(46))$
97875 := $(((97\times 8)+7)\times C(5))$
98125 := $((C(9)+((8-1)\times C(2)))\times C(5))$
98146 := $((C(9)+(81))+C(46))$
98220 := $((C((9+8))-2)\times 20)$
98232 := $((-(9)+(C((8\times 2))\times 3))\times C(2))$
98235 := $((((9\times 8)/2)-C(C(3)))\times(-5))$
98253 := $(((9+8)-C((2^5)))\times(-3))$
98297 := $((C((98-2))/9)-(7))$
98304 := $(((9\times C(8))/3)\times C(04))$
98313 := $(9-((C(8)\times(-3))\times C((1+3))))$
98320 := $((C((9+8))+3)\times 20)$
98334 := $(((C(9)+C(8))-C(3))\times(3^4))$

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$98343 := (-((9 \times 8)) + ((C(C(3)) \times 4) + C(C(3))))$
$98345 := (9 + (8 \times (C((C(3) - (4))) + (C(5)))))$
$98355 := (((-((9 + 8)) + C(C(3))) + (5)) \times 5)$
$98358 := (-(9) + (((8 - C(C(3))) \times (-5)) - 8))$
$98375 := (((-((9 - 8)) + C(C(3))) - (7)) \times 5)$
$98384 := ((C((9 + 8)) + C(C(3))) \times (8 - 4))$
$98425 := ((C(C(-(((9 - 8) - 4)))) + 2) \times 5)$
$98435 := ((-(((9 - 8) \times 4)) - C(C(3))) \times (-5))$
$98496 := (9 \times (((-(C(8)) - C(C(4))) \times (-9))/C(6)))$
$98513 := (98 + (5 \times C(C((1 \times 3)))))$
$98523 := (98 + (-(5) \times (-(2) - C(C(3)))))$
$98533 := (-((9 + 8)) + (-(5) \times (-(C(3)) - C(C(3)))))$
$98545 := (((9 \times C((8 + 5))) - C(4)) \times 5)$
$98623 := (C((9 \times 8)) - C((62 + 3)))$
$98632 := (((9 + 8) \times C((6 \times 3))) - C(C(2)))$
$98637 := ((C((9 + 8)) - C(6)) \times (3 \times 7))$
$98784 := (((9 \times 8) \times C(7)) \times (8 - 4))$
$98793 := (9 + ((-(8) \times C(7)) \times (-(9) - C(3))))$
$98875 := (((98 \times 8) + 7) \times C(5))$
$98944 := (((C(9) + C((8 + 9))) \times C(4)) - C(C(4)))$
$98954 := (C((9 + 8)) + (C(9) \times (C(5) + (4))))$
$99125 := ((C(9) + ((9 - 1)^2)) \times C(5))$
$99127 := ((((9 + 9) - 1)^2) \times C(7))$
$99135 := (-(9) + (C(9) \times (1 + (C(3) \times 5))))$
$99144 := (C((9 + 9)) \times (1 + (4 \times 4)))$
$99153 := (9 + (C(9) \times (1 + (5 \times C(3)))))$
$99535 := (((-(99) - C(5)) - C(C(3))) \times (-5))$
$99549 := (-((9 \times 9)) \times ((C(5) \times (-4)) - C(9)))$
$99584 := (((9 \times (-(9) + C(5))) + C(8)) \times C(4))$
$99594 := (C(9) + ((9 \times 5) \times C((9 + 4))))$
$99864 := ((C(9) - (9 \times 8)) \times (C(6) - C(4)))$
$99873 := (C(9) \times (9 + (C(8)/(7 - 3))))$
$99875 := (((99 \times 8) + 7) \times C(5))$

2.3 Pattern in Cubic-Type Selfies

In 1966, Madachy [8] pp. 174-175, gave an idea of **number patterns** writing as:

$3^4 \times 425 := 34425$
$3^4 \times 4250 := 344250$
$3^4 \times 42500 := 3442500$

$31^2 \times 325 := 312325$
$31^2 \times 3250 := 3123250$
$31^2 \times 32500 := 31232500$

$73 \times 9 \times 42 := 73942$
$73 \times 9 \times 420 := 739420$
$73 \times 9 \times 4200 := 7394200$

Based on the same idea as above, there are some **Cubic-type selfie numbers**, those can be extended in patterned form just multiplying successively by 10. See below the examples:

$135 := 1 \times C(3) \times 5$
$1350 := 1 \times C(3) \times 50$
$13500 := 1 \times C(3) \times 500$

$655 := (6 + C(5)) \times 5$
$6550 := (6 + C(5)) \times 50$
$65500 := (6 + C(5)) \times 500$

$549 := (C(5) - C(4)) \times 9$
$5490 := (C(5) - C(4)) \times 90$
$54900 := (C(5) - C(4)) \times 900$

$1022 := (-1 + C(C(02))) \times 2$
$10220 := (-1 + C(C(02))) \times 20$
$102200 := (-1 + C(C(02))) \times 200$

$585 := (C(5) - 8) \times 5$
$5850 := (C(5) - 8) \times 50$
$58500 := (C(5) - 8) \times 500$

$1255 := (1 + 2 \times C(5)) \times 5$
$12550 := (1 + 2 \times C(5)) \times 50$
$125500 := (1 + 2 \times C(5)) \times 500$

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$$\mathbf{1296} := (-1 - C(C(2)) + C(9)) \times 6$$
$$\mathbf{12960} := (-1 - C(C(2)) + C(9)) \times 60$$
$$\mathbf{129600} := (-1 - C(C(2)) + C(9)) \times 600$$

$$\mathbf{1331} := C(C(-1+3)+3) \times 1$$
$$\mathbf{13310} := C(C(-1+3)+3) \times 10$$
$$\mathbf{133100} := C(C(-1+3)+3) \times 100$$

$$\mathbf{1352} := (-1 + C(3)) \times 52$$
$$\mathbf{13520} := (-1 + C(3)) \times 520$$
$$\mathbf{135200} := (-1 + C(3)) \times 5200$$

$$\mathbf{1359} := (-1 + C(3) + C(5)) \times 9$$
$$\mathbf{13590} := (-1 + C(3) + C(5)) \times 90$$
$$\mathbf{135900} := (-1 + C(3) + C(5)) \times 900$$

$$\mathbf{1372} := (-1+3) \times C(7) \times 2$$
$$\mathbf{13720} := (-1+3) \times C(7) \times 20$$
$$\mathbf{137200} := (-1+3) \times C(7) \times 200$$

$$\mathbf{1512} := (1 + C(5)) \times 12$$
$$\mathbf{15120} := (1 + C(5)) \times 120$$
$$\mathbf{151200} := (1 + C(5)) \times 1200$$

$$\mathbf{1533} := (-1 + C(5+3)) \times 3$$
$$\mathbf{15330} := (-1 + C(5+3)) \times 30$$
$$\mathbf{153300} := (-1 + C(5+3)) \times 300$$

$$\mathbf{1715} := 1 \times C(7) \times 1 \times 5$$
$$\mathbf{17150} := 1 \times C(7) \times 1 \times 50$$
$$\mathbf{171500} := 1 \times C(7) \times 1 \times 500$$

$$\mathbf{1725} := (1 \times C(7) + 2) \times 5$$
$$\mathbf{17250} := (1 \times C(7) + 2) \times 50$$
$$\mathbf{172500} := (1 \times C(7) + 2) \times 500$$

$$\mathbf{1728} := C(1+7-2) \times 8$$
$$\mathbf{17280} := C(1+7-2) \times 80$$
$$\mathbf{172800} := C(1+7-2) \times 800$$

$$\mathbf{1735} := (1 + C(7) + 3) \times 5$$
$$\mathbf{17350} := (1 + C(7) + 3) \times 50$$
$$\mathbf{173500} := (1 + C(7) + 3) \times 500$$

$$\mathbf{1752} := (1 + 7 \times C(5)) \times 2$$
$$\mathbf{17520} := (1 + 7 \times C(5)) \times 20$$
$$\mathbf{175200} := (1 + 7 \times C(5)) \times 200$$

$$\mathbf{2193} := (2 + C(1 \times 9)) \times 3$$
$$\mathbf{21930} := (2 + C(1 \times 9)) \times 30$$
$$\mathbf{219300} := (2 + C(1 \times 9)) \times 300$$

$$\mathbf{2259} := (2^{C(2)} - 5) \times 9$$
$$\mathbf{22590} := (2^{C(2)} - 5) \times 90$$
$$\mathbf{225900} := (2^{C(2)} - 5) \times 900$$

$$\mathbf{2368} := (C(2^3) - C(6)) \times 8$$
$$\mathbf{23680} := (C(2^3) - C(6)) \times 80$$
$$\mathbf{236800} := (C(2^3) - C(6)) \times 800$$

$$\mathbf{2375} := (C(C(2)) - 37) \times 5$$
$$\mathbf{23750} := (C(C(2)) - 37) \times 50$$
$$\mathbf{237500} := (C(C(2)) - 37) \times 500$$

$$\mathbf{2385} := (-C(2) - C(3) + C(8)) \times 5$$
$$\mathbf{23850} := (-C(2) - C(3) + C(8)) \times 50$$
$$\mathbf{238500} := (-C(2) - C(3) + C(8)) \times 500$$

$$\mathbf{2432} := (-C(C(2)) + C(4 \times 3)) \times 2$$
$$\mathbf{24320} := (-C(C(2)) + C(4 \times 3)) \times 20$$
$$\mathbf{243200} := (-C(C(2)) + C(4 \times 3)) \times 200$$

$$\mathbf{2495} := (C(C(2)) - 4 - 9) \times 5$$
$$\mathbf{24950} := (C(C(2)) - 4 - 9) \times 50$$
$$\mathbf{249500} := (C(C(2)) - 4 - 9) \times 500$$

$$\mathbf{2525} := (C(C(2)) - 5 - 2) \times 5$$
$$\mathbf{25250} := (C(C(2)) - 5 - 2) \times 50$$
$$\mathbf{252500} := (C(C(2)) - 5 - 2) \times 500$$

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$$\mathbf{2555} := (C(C(2)) - 5/5) \times 5$$
$$\mathbf{25550} := (C(C(2)) - 5/5) \times 50$$
$$\mathbf{255500} := (C(C(2)) - 5/5) \times 500$$

$$\mathbf{2565} := (C(C(2)) - 5 + 6) \times 5$$
$$\mathbf{25650} := (C(C(2)) - 5 + 6) \times 50$$
$$\mathbf{256500} := (C(C(2)) - 5 + 6) \times 500$$

$$\mathbf{2676} := 2 \times (C(6) + 7) \times 6$$
$$\mathbf{26760} := 2 \times (C(6) + 7) \times 60$$
$$\mathbf{267600} := 2 \times (C(6) + 7) \times 600$$

$$\mathbf{2724} := (C(C(2)) - C(7) + C(C(2))) \times 4$$
$$\mathbf{27240} := (C(C(2)) - C(7) + C(C(2))) \times 40$$
$$\mathbf{272400} := (C(C(2)) - C(7) + C(C(2))) \times 400$$

$$\mathbf{2744} := C(2 \times 7)/4 \times 4$$
$$\mathbf{27440} := C(2 \times 7)/4 \times 40$$
$$\mathbf{274400} := C(2 \times 7)/4 \times 400$$

$$\mathbf{2912} := 2 \times (C(9) - 1) \times 2$$
$$\mathbf{29120} := 2 \times (C(9) - 1) \times 20$$
$$\mathbf{291200} := 2 \times (C(9) - 1) \times 200$$

$$\mathbf{2914} := 2 + (C(9) - 1) \times 4$$
$$\mathbf{29140} := 2 + (C(9) - 1) \times 40$$
$$\mathbf{291400} := 2 + (C(9) - 1) \times 400$$

$$\mathbf{2976} := (C(C(2)) - 9 - 7) \times 6$$
$$\mathbf{29760} := (C(C(2)) - 9 - 7) \times 60$$
$$\mathbf{297600} := (C(C(2)) - 9 - 7) \times 600$$

$$\mathbf{3276} := (C(3) + C(C(2)) + 7) \times 6$$
$$\mathbf{32760} := (C(3) + C(C(2)) + 7) \times 60$$
$$\mathbf{327600} := (C(3) + C(C(2)) + 7) \times 600$$

$$\mathbf{3625} := (-3 + C(6) + C(C(2))) \times 5$$
$$\mathbf{36250} := (-3 + C(6) + C(C(2))) \times 50$$
$$\mathbf{362500} := (-3 + C(6) + C(C(2))) \times 500$$

$$\mathbf{3645} := C(36/4) \times 5$$
$$\mathbf{36450} := C(36/4) \times 50$$
$$\mathbf{364500} := C(36/4) \times 500$$

$$\mathbf{3648} := 3 \times (C(6) - C(4)) \times 8$$
$$\mathbf{36480} := 3 \times (C(6) - C(4)) \times 80$$
$$\mathbf{364800} := 3 \times (C(6) - C(4)) \times 800$$

$$\mathbf{3744} := (C(3 + 7) - C(4)) \times 4$$
$$\mathbf{37440} := (C(3 + 7) - C(4)) \times 40$$
$$\mathbf{374400} := (C(3 + 7) - C(4)) \times 400$$

$$\mathbf{3848} := (-C(3) + C(8) - 4) \times 8$$
$$\mathbf{38480} := (-C(3) + C(8) - 4) \times 80$$
$$\mathbf{384800} := (-C(3) + C(8) - 4) \times 800$$

$$\mathbf{3942} := C(3) \times (9 + C(4)) \times 2$$
$$\mathbf{39420} := C(3) \times (9 + C(4)) \times 20$$
$$\mathbf{394200} := C(3) \times (9 + C(4)) \times 200$$

$$\mathbf{4128} := (4 \times 1 + C(C(2))) \times 8$$
$$\mathbf{41280} := (4 \times 1 + C(C(2))) \times 80$$
$$\mathbf{412800} := (4 \times 1 + C(C(2))) \times 800$$

$$\mathbf{4275} := (C(4 \times 2) + C(7)) \times 5$$
$$\mathbf{42750} := (C(4 \times 2) + C(7)) \times 50$$
$$\mathbf{427500} := (C(4 \times 2) + C(7)) \times 500$$

$$\mathbf{4329} := (-4 - C(3) + C(C(2))) \times 9$$
$$\mathbf{43290} := (-4 - C(3) + C(C(2))) \times 90$$
$$\mathbf{432900} := (-4 - C(3) + C(C(2))) \times 900$$

$$\mathbf{4368} := (C(4) + C(3)) \times 6 \times 8$$
$$\mathbf{43680} := (C(4) + C(3)) \times 6 \times 80$$
$$\mathbf{436800} := (C(4) + C(3)) \times 6 \times 800$$

$$\mathbf{4522} := (C(4) + C(5 + C(2))) \times 2$$
$$\mathbf{45220} := (C(4) + C(5 + C(2))) \times 20$$
$$\mathbf{452200} := (C(4) + C(5 + C(2))) \times 200$$

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$$\mathbf{4536} := (C(4+5)+C(3))\times 6$$
$$\mathbf{45360} := (C(4+5)+C(3))\times 60$$
$$\mathbf{453600} := (C(4+5)+C(3))\times 600$$

$$\mathbf{4575} := (-C(4)+C(5))\times 75$$
$$\mathbf{45750} := (-C(4)+C(5))\times 750$$
$$\mathbf{457500} := (-C(4)+C(5))\times 7500$$

$$\mathbf{4697} := (-C(4)+6+C(9))\times 7$$
$$\mathbf{46970} := (-C(4)+6+C(9))\times 70$$
$$\mathbf{469700} := (-C(4)+6+C(9))\times 700$$

$$\mathbf{4864} := (C(C(4))+C(8))/C(6)\times 4$$
$$\mathbf{48640} := (C(C(4))+C(8))/C(6)\times 40$$
$$\mathbf{486400} := (C(C(4))+C(8))/C(6)\times 400$$

$$\mathbf{5324} := C(5+3\times 2)\times 4$$
$$\mathbf{53240} := C(5+3\times 2)\times 40$$
$$\mathbf{532400} := C(5+3\times 2)\times 400$$

$$\mathbf{5376} := (C(5)+3)\times 7\times 6$$
$$\mathbf{53760} := (C(5)+3)\times 7\times 60$$
$$\mathbf{537600} := (C(5)+3)\times 7\times 600$$

$$\mathbf{5445} := (C(5)-4)\times 45$$
$$\mathbf{54450} := (C(5)-4)\times 450$$
$$\mathbf{544500} := (C(5)-4)\times 4500$$

$$\mathbf{5945} := (C(5)\times 9+C(4))\times 5$$
$$\mathbf{59450} := (C(5)\times 9+C(4))\times 50$$
$$\mathbf{594500} := (C(5)\times 9+C(4))\times 500$$

$$\mathbf{6399} := (-6\times 3+C(9))\times 9$$
$$\mathbf{63990} := (-6\times 3+C(9))\times 90$$
$$\mathbf{639900} := (-6\times 3+C(9))\times 900$$

$$\mathbf{6966} := (C(6)+C(9)+C(6))\times 6$$
$$\mathbf{69660} := (C(6)+C(9)+C(6))\times 60$$
$$\mathbf{696600} := (C(6)+C(9)+C(6))\times 600$$

$$\mathbf{7168} := C(7+1)\times(6+8)$$
$$\mathbf{71680} := C(7+1)\times(60+80)$$
$$\mathbf{716800} := C(7+1)\times(600+800)$$

$$\mathbf{7182} := 7\times(1+C(8))\times 2$$
$$\mathbf{71820} := 7\times(1+C(8))\times 20$$
$$\mathbf{718200} := 7\times(1+C(8))\times 200$$

$$\mathbf{8192} := C(8)\times(-1+9)\times 2$$
$$\mathbf{81920} := C(8)\times(-1+9)\times 20$$
$$\mathbf{819200} := C(8)\times(-1+9)\times 200$$

$$\mathbf{8375} := (-C(8)+3^7)\times 5$$
$$\mathbf{83750} := (-C(8)+3^7)\times 50$$
$$\mathbf{837500} := (-C(8)+3^7)\times 500$$

$$\mathbf{8675} := (8\times C(6)+7)\times 5$$
$$\mathbf{86750} := (8\times C(6)+7)\times 50$$
$$\mathbf{867500} := (8\times C(6)+7)\times 500$$

$$\mathbf{9261} := C(9+2\times 6)\times 1$$
$$\mathbf{92610} := C(9+2\times 6)\times 10$$
$$\mathbf{926100} := C(9+2\times 6)\times 100$$

$$\mathbf{9317} := C(9+3-1)\times 7$$
$$\mathbf{93170} := C(9+3-1)\times 70$$
$$\mathbf{931700} := C(9+3-1)\times 700$$

$$\mathbf{9549} := (9\times C(5)-C(4))\times 9$$
$$\mathbf{95490} := (9\times C(5)-C(4))\times 90$$
$$\mathbf{954900} := (9\times C(5)-C(4))\times 900$$

$$\mathbf{9822} := (C(9+8)-2)\times 2$$
$$\mathbf{98220} := (C(9+8)-2)\times 20$$
$$\mathbf{982200} := (C(9+8)-2)\times 200$$

$$\mathbf{9832} := (C(9+8)+3)\times 2$$
$$\mathbf{98320} := (C(9+8)+3)\times 20$$
$$\mathbf{983200} := (C(9+8)+3)\times 200$$

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$$\mathbf{10245} := (1 + C(C(02)) \times 4) \times 5$$
$$\mathbf{102450} := (1 + C(C(02)) \times 4) \times 50$$
$$\mathbf{1024500} := (1 + C(C(02)) \times 4) \times 500$$

$$\mathbf{10568} := (-10 + C(5 + 6)) \times 8$$
$$\mathbf{105680} := (-10 + C(5 + 6)) \times 80$$
$$\mathbf{1056800} := (-10 + C(5 + 6)) \times 800$$

$$\mathbf{10584} := (1 + C(05)) \times 84$$
$$\mathbf{105840} := (1 + C(05)) \times 840$$
$$\mathbf{1058400} := (1 + C(05)) \times 8400$$

$$\mathbf{10648} := C(1 + 06 + 4) \times 8$$
$$\mathbf{106480} := C(1 + 06 + 4) \times 80$$
$$\mathbf{1064800} := C(1 + 06 + 4) \times 800$$

$$\mathbf{10728} := (C(10) + C(7) - 2) \times 8$$
$$\mathbf{107280} := (C(10) + C(7) - 2) \times 80$$
$$\mathbf{1072800} := (C(10) + C(7) - 2) \times 800$$

$$\mathbf{10935} := 1 \times C(09) \times 3 \times 5$$
$$\mathbf{109350} := 1 \times C(09) \times 3 \times 50$$
$$\mathbf{1093500} := 1 \times C(09) \times 3 \times 500$$

$$\mathbf{11011} := (1 + C(10)) \times 11$$
$$\mathbf{110110} := (1 + C(10)) \times 110$$
$$\mathbf{1101100} := (1 + C(10)) \times 1100$$

$$\mathbf{11592} := (1 \times 1 + C(5)) \times 92$$
$$\mathbf{115920} := (1 \times 1 + C(5)) \times 920$$
$$\mathbf{1159200} := (1 \times 1 + C(5)) \times 9200$$

$$\mathbf{11718} := (C(11) + C(7)) \times (-1 + 8)$$
$$\mathbf{117180} := (C(11) + C(7)) \times (-10 + 80)$$
$$\mathbf{1171800} := (C(11) + C(7)) \times (-100 + 800)$$

$$\mathbf{11979} := C((1 + 1) \times 9 - 7) \times 9$$
$$\mathbf{119790} := C((1 + 1) \times 9 - 7) \times 90$$
$$\mathbf{1197900} := C((1 + 1) \times 9 - 7) \times 900$$

$$\mathbf{12246} := (1 + (-2 + C(C(2))) \times 4) \times 6$$
$$\mathbf{122460} := (1 + (-2 + C(C(2))) \times 4) \times 60$$
$$\mathbf{1224600} := (1 + (-2 + C(C(2))) \times 4) \times 600$$

$$\mathbf{12264} := (-1^2 + C(C(2))) \times 6 \times 4$$
$$\mathbf{122640} := (-1^2 + C(C(2))) \times 6 \times 40$$
$$\mathbf{1226400} := (-1^2 + C(C(2))) \times 6 \times 400$$

$$\mathbf{12285} := (-1 + C(C(2) + C(2))) \times (8 - 5)$$
$$\mathbf{122850} := (-1 + C(C(2) + C(2))) \times (80 - 50)$$
$$\mathbf{1228500} := (-1 + C(C(2) + C(2))) \times (800 - 500)$$

$$\mathbf{12295} := (C(12) + 2 + C(9)) \times 5$$
$$\mathbf{122950} := (C(12) + 2 + C(9)) \times 50$$
$$\mathbf{1229500} := (C(12) + 2 + C(9)) \times 500$$

$$\mathbf{12328} := (C(-1 + C(2)) \times 3 + C(C(2))) \times 8$$
$$\mathbf{123280} := (C(-1 + C(2)) \times 3 + C(C(2))) \times 80$$
$$\mathbf{1232800} := (C(-1 + C(2)) \times 3 + C(C(2))) \times 800$$

$$\mathbf{12364} := (1 + (C(C(2)) + 3) \times 6) \times 4$$
$$\mathbf{123640} := (1 + (C(C(2)) + 3) \times 6) \times 40$$
$$\mathbf{1236400} := (1 + (C(C(2)) + 3) \times 6) \times 400$$

$$\mathbf{12368} := (-1 + C(C(2) + 3) + C(6)) \times 8$$
$$\mathbf{123680} := (-1 + C(C(2) + 3) + C(6)) \times 80$$
$$\mathbf{1236800} := (-1 + C(C(2) + 3) + C(6)) \times 800$$

$$\mathbf{12655} := (1 + (C(C(2)) - 6) \times 5) \times 5$$
$$\mathbf{126550} := (1 + (C(C(2)) - 6) \times 5) \times 50$$
$$\mathbf{1265500} := (1 + (C(C(2)) - 6) \times 5) \times 500$$

$$\mathbf{12825} := (1^2 + C(8)) \times 25$$
$$\mathbf{128250} := (1^2 + C(8)) \times 250$$
$$\mathbf{1282500} := (1^2 + C(8)) \times 2500$$

$$\mathbf{12855} := (1 + (2 + C(8)) \times 5) \times 5$$
$$\mathbf{128550} := (1 + (2 + C(8)) \times 5) \times 50$$
$$\mathbf{1285500} := (1 + (2 + C(8)) \times 5) \times 500$$

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$$\mathbf{13116} := (C(13) - 11) \times 6$$
$$\mathbf{131160} := (C(13) - 11) \times 60$$
$$\mathbf{1311600} := (C(13) - 11) \times 600$$

$$\mathbf{13122} := (1 \times 3^{C(1\times 2)}) \times 2$$
$$\mathbf{131220} := (1 \times 3^{C(1\times 2)}) \times 20$$
$$\mathbf{1312200} := (1 \times 3^{C(1\times 2)}) \times 200$$

$$\mathbf{13176} := (C(13) - 1^7) \times 6$$
$$\mathbf{131760} := (C(13) - 1^7) \times 60$$
$$\mathbf{1317600} := (C(13) - 1^7) \times 600$$

$$\mathbf{13244} := (C(13 + 2) - C(4)) \times 4$$
$$\mathbf{132440} := (C(13 + 2) - C(4)) \times 40$$
$$\mathbf{1324400} := (C(13 + 2) - C(4)) \times 400$$

$$\mathbf{13266} := (C(13) + C(2) + 6) \times 6$$
$$\mathbf{132660} := (C(13) + C(2) + 6) \times 60$$
$$\mathbf{1326600} := (C(13) + C(2) + 6) \times 600$$

$$\mathbf{13326} := (C(13) + 3 \times C(2)) \times 6$$
$$\mathbf{133260} := (C(13) + 3 \times C(2)) \times 60$$
$$\mathbf{1332600} := (C(13) + 3 \times C(2)) \times 600$$

$$\mathbf{13338} := 13 \times C(3) \times 38$$
$$\mathbf{133380} := 13 \times C(3) \times 380$$
$$\mathbf{1333800} := 13 \times C(3) \times 3800$$

$$\mathbf{13446} := (C(13) + 44) \times 6$$
$$\mathbf{134460} := (C(13) + 44) \times 60$$
$$\mathbf{1344600} := (C(13) + 44) \times 600$$

$$\mathbf{13504} := (1 + C(3 \times 5)) \times 04$$
$$\mathbf{135040} := (1 + C(3 \times 5)) \times 040$$
$$\mathbf{1350400} := (1 + C(3 \times 5)) \times 0400$$

$$\mathbf{13685} := (-1 + C(3) \times 6) \times 85$$
$$\mathbf{136850} := (-1 + C(3) \times 6) \times 850$$
$$\mathbf{1368500} := (-1 + C(3) \times 6) \times 8500$$

$$\mathbf{13715} := (C((-1 + 3) \times 7) - 1) \times 5$$
$$\mathbf{137150} := (C((-1 + 3) \times 7) - 1) \times 50$$
$$\mathbf{1371500} := (C((-1 + 3) \times 7) - 1) \times 500$$

$$\mathbf{13722} := (C(-1 + C(3) - 7) + 2) \times 2$$
$$\mathbf{137220} := (C(-1 + C(3) - 7) + 2) \times 20$$
$$\mathbf{1372200} := (C(-1 + C(3) - 7) + 2) \times 200$$

$$\mathbf{13725} := (1^3 + C(7 \times 2)) \times 5$$
$$\mathbf{137250} := (1^3 + C(7 \times 2)) \times 50$$
$$\mathbf{1372500} := (1^3 + C(7 \times 2)) \times 500$$

$$\mathbf{13735} := (C((-1 + 3) \times 7) + 3) \times 5$$
$$\mathbf{137350} := (C((-1 + 3) \times 7) + 3) \times 50$$
$$\mathbf{1373500} := (C((-1 + 3) \times 7) + 3) \times 500$$

$$\mathbf{13785} := (13 + C(7) \times 8) \times 5$$
$$\mathbf{137850} := (13 + C(7) \times 8) \times 50$$
$$\mathbf{1378500} := (13 + C(7) \times 8) \times 500$$

$$\mathbf{13823} := (1 - C(3 \times 8)) \times (2 - 3)$$
$$\mathbf{138230} := (1 - C(3 \times 8)) \times (20 - 30)$$
$$\mathbf{1382300} := (1 - C(3 \times 8)) \times (200 - 300)$$

$$\mathbf{13869} := (-1 + 3 \times C(8) + 6) \times 9$$
$$\mathbf{138690} := (-1 + 3 \times C(8) + 6) \times 90$$
$$\mathbf{1386900} := (-1 + 3 \times C(8) + 6) \times 900$$

$$\mathbf{14287} := (1 + 4 \times (-2 + C(8))) \times 7$$
$$\mathbf{142870} := (1 + 4 \times (-2 + C(8))) \times 70$$
$$\mathbf{1428700} := (1 + 4 \times (-2 + C(8))) \times 700$$

$$\mathbf{14495} := (-1 + 4 \times (-4 + C(9))) \times 5$$
$$\mathbf{144950} := (-1 + 4 \times (-4 + C(9))) \times 50$$
$$\mathbf{1449500} := (-1 + 4 \times (-4 + C(9))) \times 500$$

$$\mathbf{14529} := (1 + 4 \times C(5)) \times 29$$
$$\mathbf{145290} := (1 + 4 \times C(5)) \times 290$$
$$\mathbf{1452900} := (1 + 4 \times C(5)) \times 2900$$

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$$\mathbf{14688} := C(-1+4)\times 68\times 8$$
$$\mathbf{146880} := C(-1+4)\times 68\times 80$$
$$\mathbf{1468800} := C(-1+4)\times 68\times 800$$

$$\mathbf{14695} := (-1+4\times(6+C(9)))\times 5$$
$$\mathbf{146950} := (-1+4\times(6+C(9)))\times 50$$
$$\mathbf{1469500} := (-1+4\times(6+C(9)))\times 500$$

$$\mathbf{14765} := (C(14)-7+C(6))\times 5$$
$$\mathbf{147650} := (C(14)-7+C(6))\times 50$$
$$\mathbf{1476500} := (C(14)-7+C(6))\times 500$$

$$\mathbf{14935} := (C(14)+9\times C(3))\times 5$$
$$\mathbf{149350} := (C(14)+9\times C(3))\times 50$$
$$\mathbf{1493500} := (C(14)+9\times C(3))\times 500$$

$$\mathbf{15246} := (1+5\times(C(C(2))-4))\times 6$$
$$\mathbf{152460} := (1+5\times(C(C(2))-4))\times 60$$
$$\mathbf{1524600} := (1+5\times(C(C(2))-4))\times 600$$

$$\mathbf{15365} := (1+C(5+3)\times 6)\times 5$$
$$\mathbf{153650} := (1+C(5+3)\times 6)\times 50$$
$$\mathbf{1536500} := (1+C(5+3)\times 6)\times 500$$

$$\mathbf{15435} := C(1+5\times 4)/3\times 5$$
$$\mathbf{154350} := C(1+5\times 4)/3\times 50$$
$$\mathbf{1543500} := C(1+5\times 4)/3\times 500$$

$$\mathbf{15486} := (1+5\times(4+C(8)))\times 6$$
$$\mathbf{154860} := (1+5\times(4+C(8)))\times 60$$
$$\mathbf{1548600} := (1+5\times(4+C(8)))\times 600$$

$$\mathbf{15678} := (-15+C(6))\times 78$$
$$\mathbf{156780} := (-15+C(6))\times 780$$
$$\mathbf{1567800} := (-15+C(6))\times 7800$$

$$\mathbf{16224} := (1-6+C(C(2)))\times C(2)\times 4$$
$$\mathbf{162240} := (1-6+C(C(2)))\times C(2)\times 40$$
$$\mathbf{1622400} := (1-6+C(C(2)))\times C(2)\times 400$$

$$\mathbf{16275} := (-1+C(6)+2)\times 75$$
$$\mathbf{162750} := (-1+C(6)+2)\times 750$$
$$\mathbf{1627500} := (-1+C(6)+2)\times 7500$$

$$\mathbf{16285} := (1+C(6+C(2))+C(8))\times 5$$
$$\mathbf{162850} := (1+C(6+C(2))+C(8))\times 50$$
$$\mathbf{1628500} := (1+C(6+C(2))+C(8))\times 500$$

$$\mathbf{16522} := (1+6\times C(5))\times 22$$
$$\mathbf{165220} := (1+6\times C(5))\times 220$$
$$\mathbf{1652200} := (1+6\times C(5))\times 2200$$

$$\mathbf{16575} := (1\times C(6)+5)\times 75$$
$$\mathbf{165750} := (1\times C(6)+5)\times 750$$
$$\mathbf{1657500} := (1\times C(6)+5)\times 7500$$

$$\mathbf{16655} := (16\times C(6)-C(5))\times 5$$
$$\mathbf{166550} := (16\times C(6)-C(5))\times 50$$
$$\mathbf{1665500} := (16\times C(6)-C(5))\times 500$$

$$\mathbf{16752} := (1+67\times C(5))\times 2$$
$$\mathbf{167520} := (1+67\times C(5))\times 20$$
$$\mathbf{1675200} := (1+67\times C(5))\times 200$$

$$\mathbf{16765} := (-1+(C(6)+C(7))\times 6)\times 5$$
$$\mathbf{167650} := (-1+(C(6)+C(7))\times 6)\times 50$$
$$\mathbf{1676500} := (-1+(C(6)+C(7))\times 6)\times 500$$

$$\mathbf{16848} := (C(1+6)+8)\times 48$$
$$\mathbf{168480} := (C(1+6)+8)\times 480$$
$$\mathbf{1684800} := (C(1+6)+8)\times 4800$$

$$\mathbf{16884} := (C(-1+6)+C(8+8))\times 4$$
$$\mathbf{168840} := (C(-1+6)+C(8+8))\times 40$$
$$\mathbf{1688400} := (C(-1+6)+C(8+8))\times 400$$

$$\mathbf{16992} := (-1+C(6)+C(9))\times 9\times 2$$
$$\mathbf{169920} := (-1+C(6)+C(9))\times 9\times 20$$
$$\mathbf{1699200} := (-1+C(6)+C(9))\times 9\times 200$$

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$$\mathbf{17528} := (1-7+C(5+C(2)))\times 8$$
$$\mathbf{175280} := (1-7+C(5+C(2)))\times 80$$
$$\mathbf{1752800} := (1-7+C(5+C(2)))\times 800$$

$$\mathbf{17584} := (C(17)-5-C(8))\times 4$$
$$\mathbf{175840} := (C(17)-5-C(8))\times 40$$
$$\mathbf{1758400} := (C(17)-5-C(8))\times 400$$

$$\mathbf{17649} := (1+7\times(C(6)+C(4)))\times 9$$
$$\mathbf{176490} := (1+7\times(C(6)+C(4)))\times 90$$
$$\mathbf{1764900} := (1+7\times(C(6)+C(4)))\times 900$$

$$\mathbf{17765} := 17\times(-7+C(6))\times 5$$
$$\mathbf{177650} := 17\times(-7+C(6))\times 50$$
$$\mathbf{1776500} := 17\times(-7+C(6))\times 500$$

$$\mathbf{17766} := (1+C(7+7)+C(6))\times 6$$
$$\mathbf{177660} := (1+C(7+7)+C(6))\times 60$$
$$\mathbf{1776600} := (1+C(7+7)+C(6))\times 600$$

$$\mathbf{17885} := (1+7\times C(8)-8)\times 5$$
$$\mathbf{178850} := (1+7\times C(8)-8)\times 50$$
$$\mathbf{1788500} := (1+7\times C(8)-8)\times 500$$

$$\mathbf{17915} := (-1+7\times C(9-1))\times 5$$
$$\mathbf{179150} := (-1+7\times C(9-1))\times 50$$
$$\mathbf{1791500} := (-1+7\times C(9-1))\times 500$$

$$\mathbf{17925} := (1+C(7+9)-C(C(2)))\times 5$$
$$\mathbf{179250} := (1+C(7+9)-C(C(2)))\times 50$$
$$\mathbf{1792500} := (1+C(7+9)-C(C(2)))\times 500$$

$$\mathbf{18225} := C(18/2)\times 25$$
$$\mathbf{182250} := C(18/2)\times 250$$
$$\mathbf{1822500} := C(18/2)\times 2500$$

$$\mathbf{18235} := (1+C(8)+C(2))\times 35$$
$$\mathbf{182350} := (1+C(8)+C(2))\times 350$$
$$\mathbf{1823500} := (1+C(8)+C(2))\times 3500$$

$$\mathbf{18252} := (C(-1+8)+C(2))\times 52$$
$$\mathbf{182520} := (C(-1+8)+C(2))\times 520$$
$$\mathbf{1825200} := (C(-1+8)+C(2))\times 5200$$

$$\mathbf{18324} := (1+8)\times(-3+C(C(2)))\times 4$$
$$\mathbf{183240} := (1+8)\times(-3+C(C(2)))\times 40$$
$$\mathbf{1832400} := (1+8)\times(-3+C(C(2)))\times 400$$

$$\mathbf{18396} := (1-C(8))\times(3-9)\times 6$$
$$\mathbf{183960} := (1-C(8))\times(3-9)\times 60$$
$$\mathbf{1839600} := (1-C(8))\times(3-9)\times 600$$

$$\mathbf{18426} := (-1+C(8)\times(4+2))\times 6$$
$$\mathbf{184260} := (-1+C(8)\times(4+2))\times 60$$
$$\mathbf{1842600} := (-1+C(8)\times(4+2))\times 600$$

$$\mathbf{18431} := -1+C(8)\times(C(4)-C(3))$$
$$\mathbf{18522} := C(18+5-2)\times 2$$
$$\mathbf{185220} := C(18+5-2)\times 20$$
$$\mathbf{1852200} := C(18+5-2)\times 200$$

$$\mathbf{18545} := (C(1+8)\times 5+C(4))\times 5$$
$$\mathbf{185450} := (C(1+8)\times 5+C(4))\times 50$$
$$\mathbf{1854500} := (C(1+8)\times 5+C(4))\times 500$$

$$\mathbf{19244} := (C(19)-C(C(2))\times 4)\times 4$$
$$\mathbf{192440} := (C(19)-C(C(2))\times 4)\times 40$$
$$\mathbf{1924400} := (C(19)-C(C(2))\times 4)\times 400$$

$$\mathbf{19722} := 19\times(7+C(C(2)))\times 2$$
$$\mathbf{197220} := 19\times(7+C(C(2)))\times 20$$
$$\mathbf{1972200} := 19\times(7+C(C(2)))\times 200$$

$$\mathbf{19743} := (19\times C(7)+C(4))\times 3$$
$$\mathbf{197430} := (19\times C(7)+C(4))\times 30$$
$$\mathbf{1974300} := (19\times C(7)+C(4))\times 300$$

$$\mathbf{19862} := (C(19)+C(8)\times 6)\times 2$$
$$\mathbf{198620} := (C(19)+C(8)\times 6)\times 20$$
$$\mathbf{1986200} := (C(19)+C(8)\times 6)\times 200$$

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$$\mathbf{20455} := (C(2^{04}) - 5) \times 5$$
$$\mathbf{204550} := (C(2^{04}) - 5) \times 50$$
$$\mathbf{2045500} := (C(2^{04}) - 5) \times 500$$

$$\mathbf{20736} := 2^{07} \times C(3) \times 6$$
$$\mathbf{207360} := 2^{07} \times C(3) \times 60$$
$$\mathbf{2073600} := 2^{07} \times C(3) \times 600$$

$$\mathbf{21762} := (C(2) \times 1 + C(7)) \times 62$$
$$\mathbf{217620} := (C(2) \times 1 + C(7)) \times 620$$
$$\mathbf{2176200} := (C(2) \times 1 + C(7)) \times 6200$$

$$\mathbf{22113} := (C(C(2)) + C(C(2) + 11)) \times 3$$
$$\mathbf{221130} := (C(C(2)) + C(C(2) + 11)) \times 30$$
$$\mathbf{2211300} := (C(C(2)) + C(C(2) + 11)) \times 300$$

$$\mathbf{22116} := 2 \times (C(C(2)) + C(11)) \times 6$$
$$\mathbf{221160} := 2 \times (C(C(2)) + C(11)) \times 60$$
$$\mathbf{2211600} := 2 \times (C(C(2)) + C(11)) \times 600$$

$$\mathbf{22275} := ((C(C(2)) + 2) \times C(2) + C(7)) \times 5$$
$$\mathbf{222750} := ((C(C(2)) + 2) \times C(2) + C(7)) \times 50$$
$$\mathbf{2227500} := ((C(C(2)) + 2) \times C(2) + C(7)) \times 500$$

$$\mathbf{22326} := (C(2 + 2) - 3)^2 \times 6$$
$$\mathbf{223260} := (C(2 + 2) - 3)^2 \times 60$$
$$\mathbf{2232600} := (C(2 + 2) - 3)^2 \times 600$$

$$\mathbf{22355} := (C(C(2) + C(2)) + 3 \times C(5)) \times 5$$
$$\mathbf{223550} := (C(C(2) + C(2)) + 3 \times C(5)) \times 50$$
$$\mathbf{2235500} := (C(C(2) + C(2)) + 3 \times C(5)) \times 500$$

$$\mathbf{22464} := (2 + 24) \times C(6) \times 4$$
$$\mathbf{224640} := (2 + 24) \times C(6) \times 40$$
$$\mathbf{2246400} := (2 + 24) \times C(6) \times 400$$

$$\mathbf{22575} := (C(C(2)) + C(2) + C(5)) \times 7 \times 5$$
$$\mathbf{225750} := (C(C(2)) + C(2) + C(5)) \times 7 \times 50$$
$$\mathbf{2257500} := (C(C(2)) + C(2) + C(5)) \times 7 \times 500$$

$$\mathbf{22792} := (C(C(2)) + C(2 \times 7)) \times (9 - 2)$$
$$\mathbf{227920} := (C(C(2)) + C(2 \times 7)) \times (90 - 20)$$
$$\mathbf{2279200} := (C(C(2)) + C(2 \times 7)) \times (900 - 200)$$

$$\mathbf{22935} := ((-2 + C(C(2))) \times 9 - 3) \times 5$$
$$\mathbf{229350} := ((-2 + C(C(2))) \times 9 - 3) \times 50$$
$$\mathbf{2293500} := ((-2 + C(C(2))) \times 9 - 3) \times 500$$

$$\mathbf{22944} := C(2) \times (-C(2) + C(9) - 4) \times 4$$
$$\mathbf{229440} := C(2) \times (-C(2) + C(9) - 4) \times 40$$
$$\mathbf{2294400} := C(2) \times (-C(2) + C(9) - 4) \times 400$$

$$\mathbf{22995} := (C(C(2)) + C(2) - 9) \times 9 \times 5$$
$$\mathbf{229950} := (C(C(2)) + C(2) - 9) \times 9 \times 50$$
$$\mathbf{2299500} := (C(C(2)) + C(2) - 9) \times 9 \times 500$$

$$\mathbf{23275} := ((C(C(2)) + C(3)) \times C(2) + C(7)) \times 5$$
$$\mathbf{232750} := ((C(C(2)) + C(3)) \times C(2) + C(7)) \times 50$$
$$\mathbf{2327500} := ((C(C(2)) + C(3)) \times C(2) + C(7)) \times 500$$

$$\mathbf{23292} := (C(23) - C(C(2)) - 9) \times 2$$
$$\mathbf{232920} := (C(23) - C(C(2)) - 9) \times 20$$
$$\mathbf{2329200} := (C(23) - C(C(2)) - 9) \times 200$$

$$\mathbf{23344} := (C(2 \times 3 \times 3) + 4) \times 4$$
$$\mathbf{233440} := (C(2 \times 3 \times 3) + 4) \times 40$$
$$\mathbf{2334400} := (C(2 \times 3 \times 3) + 4) \times 400$$

$$\mathbf{23452} := (C(C(2)) + 3 - C(4)) \times 52$$
$$\mathbf{234520} := (C(C(2)) + 3 - C(4)) \times 520$$
$$\mathbf{2345200} := (C(C(2)) + 3 - C(4)) \times 5200$$

$$\mathbf{23594} := (C(2) + 3^5) \times 94$$
$$\mathbf{235940} := (C(2) + 3^5) \times 940$$
$$\mathbf{2359400} := (C(2) + 3^5) \times 9400$$

$$\mathbf{23652} := (C(23) - C(6) - C(5)) \times 2$$
$$\mathbf{236520} := (C(23) - C(6) - C(5)) \times 20$$

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$$\mathbf{2365200} := (C(23) - C(6) - C(5)) \times 200$$

$$\mathbf{23672} := (-C(C(2)) + 36 \times C(7)) \times 2$$
$$\mathbf{236720} := (-C(C(2)) + 36 \times C(7)) \times 20$$
$$\mathbf{2367200} := (-C(C(2)) + 36 \times C(7)) \times 200$$

$$\mathbf{23793} := (C(-C(2) + C(3)) + C(7) + C(9)) \times 3$$
$$\mathbf{237930} := (C(-C(2) + C(3)) + C(7) + C(9)) \times 30$$
$$\mathbf{2379300} := (C(-C(2) + C(3)) + C(7) + C(9)) \times 300$$

$$\mathbf{23822} := (C(23) - C(8)/2) \times 2$$
$$\mathbf{238220} := (C(23) - C(8)/2) \times 20$$
$$\mathbf{2382200} := (C(23) - C(8)/2) \times 200$$

$$\mathbf{23826} := (-C(2+3) + C(8 \times 2)) \times 6$$
$$\mathbf{238260} := (-C(2+3) + C(8 \times 2)) \times 60$$
$$\mathbf{2382600} := (-C(2+3) + C(8 \times 2)) \times 600$$

$$\mathbf{23972} := (C(C(2) + 3) \times 9 + 7) \times 2$$
$$\mathbf{239720} := (C(C(2) + 3) \times 9 + 7) \times 20$$
$$\mathbf{2397200} := (C(C(2) + 3) \times 9 + 7) \times 200$$

$$\mathbf{24125} := (C(2^4) + C(1 + C(2))) \times 5$$
$$\mathbf{241250} := (C(2^4) + C(1 + C(2))) \times 50$$
$$\mathbf{2412500} := (C(2^4) + C(1 + C(2))) \times 500$$

$$\mathbf{24276} := (C(C(2)) + C(4) + 2) \times 7 \times 6$$
$$\mathbf{242760} := (C(C(2)) + C(4) + 2) \times 7 \times 60$$
$$\mathbf{2427600} := (C(C(2)) + C(4) + 2) \times 7 \times 600$$

$$\mathbf{24322} := (-C(2) + C(-4 + C(3)) + 2) \times 2$$
$$\mathbf{243220} := (-C(2) + C(-4 + C(3)) + 2) \times 20$$
$$\mathbf{2432200} := (-C(2) + C(-4 + C(3)) + 2) \times 200$$

$$\mathbf{24354} := (C(C(2)) - C(4) + 3) \times 54$$
$$\mathbf{243540} := (C(C(2)) - C(4) + 3) \times 540$$
$$\mathbf{2435400} := (C(C(2)) - C(4) + 3) \times 5400$$

$$\mathbf{24456} := (C(2^4) - 4 \times 5) \times 6$$
$$\mathbf{244560} := (C(2^4) - 4 \times 5) \times 60$$

$$\mathbf{2445600} := (C(2^4) - 4 \times 5) \times 600$$

$$\mathbf{24535} := (C(C(2)) + C(4) + C(5)) \times 35$$
$$\mathbf{245350} := (C(C(2)) + C(4) + C(5)) \times 350$$
$$\mathbf{2453500} := (C(C(2)) + C(4) + C(5)) \times 3500$$

$$\mathbf{24545} := (C(C(2) + 4 + 5) - 4) \times 5$$
$$\mathbf{245450} := (C(C(2) + 4 + 5) - 4) \times 50$$
$$\mathbf{2454500} := (C(C(2) + 4 + 5) - 4) \times 500$$

$$\mathbf{24565} := C(2 + 4 + 5 + 6) \times 5$$
$$\mathbf{245650} := C(2 + 4 + 5 + 6) \times 50$$
$$\mathbf{2456500} := C(2 + 4 + 5 + 6) \times 500$$

$$\mathbf{24624} := (C(2) + 4^6) \times (2 + 4)$$
$$\mathbf{246240} := (C(2) + 4^6) \times (20 + 40)$$
$$\mathbf{2462400} := (C(2) + 4^6) \times (200 + 400)$$

$$\mathbf{24636} := (2 - C(4) + C(6) \times C(3)) \times 6$$
$$\mathbf{246360} := (2 - C(4) + C(6) \times C(3)) \times 60$$
$$\mathbf{2463600} := (2 - C(4) + C(6) \times C(3)) \times 600$$

$$\mathbf{24816} := C(2) \times (4 + C(8) + 1) \times 6$$
$$\mathbf{248160} := C(2) \times (4 + C(8) + 1) \times 60$$
$$\mathbf{2481600} := C(2) \times (4 + C(8) + 1) \times 600$$

$$\mathbf{24895} := (2 + C(4) + C(8 + 9)) \times 5$$
$$\mathbf{248950} := (2 + C(4) + C(8 + 9)) \times 50$$
$$\mathbf{2489500} := (2 + C(4) + C(8 + 9)) \times 500$$

$$\mathbf{24925} := (C(2) + C(4) + C(9 + C(2))) \times 5$$
$$\mathbf{249250} := (C(2) + C(4) + C(9 + C(2))) \times 50$$
$$\mathbf{2492500} := (C(2) + C(4) + C(9 + C(2))) \times 500$$

$$\mathbf{25137} := (C(2) + C(5)) \times 1 \times C(3) \times 7$$
$$\mathbf{251370} := (C(2) + C(5)) \times 1 \times C(3) \times 70$$
$$\mathbf{2513700} := (C(2) + C(5)) \times 1 \times C(3) \times 700$$

$$\mathbf{25272} := (C(2) + C(5 + 2)) \times 72$$
$$\mathbf{252720} := (C(2) + C(5 + 2)) \times 720$$

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$$\mathbf{2527200} := (C(2) + C(5+2)) \times 7200$$

$$\mathbf{25277} := (-C(2) + (5 + C(C(2))) \times 7) \times 7$$
$$\mathbf{252770} := (-C(2) + (5 + C(C(2))) \times 7) \times 70$$
$$\mathbf{2527700} := (-C(2) + (5 + C(C(2))) \times 7) \times 700$$

$$\mathbf{25353} := (-C(C(2) + 5) + C(C(3) - 5)) \times 3$$
$$\mathbf{253530} := (-C(C(2) + 5) + C(C(3) - 5)) \times 30$$
$$\mathbf{2535300} := (-C(C(2) + 5) + C(C(3) - 5)) \times 300$$

$$\mathbf{25475} := (-C(2) + C(5+4) \times 7) \times 5$$
$$\mathbf{254750} := (-C(2) + C(5+4) \times 7) \times 50$$
$$\mathbf{2547500} := (-C(2) + C(5+4) \times 7) \times 500$$

$$\mathbf{25536} := (C(2) + C(5)) \times (5 + C(3)) \times 6$$
$$\mathbf{255360} := (C(2) + C(5)) \times (5 + C(3)) \times 60$$
$$\mathbf{2553600} := (C(2) + C(5)) \times (5 + C(3)) \times 600$$

$$\mathbf{25725} := (-2+5) \times C(7) \times 25$$
$$\mathbf{257250} := (-2+5) \times C(7) \times 250$$
$$\mathbf{2572500} := (-2+5) \times C(7) \times 2500$$

$$\mathbf{25735} := (2 + 5 \times C(7) \times 3) \times 5$$
$$\mathbf{257350} := (2 + 5 \times C(7) \times 3) \times 50$$
$$\mathbf{2573500} := (2 + 5 \times C(7) \times 3) \times 500$$

$$\mathbf{25935} := (C(2 \times 5) + C(9)) \times 3 \times 5$$
$$\mathbf{259350} := (C(2 \times 5) + C(9)) \times 3 \times 50$$
$$\mathbf{2593500} := (C(2 \times 5) + C(9)) \times 3 \times 500$$

$$\mathbf{26158} := (C(C(2)) - 61) \times 58$$
$$\mathbf{261580} := (C(C(2)) - 61) \times 580$$
$$\mathbf{2615800} := (C(C(2)) - 61) \times 5800$$

$$\mathbf{26196} := (-C(2) + 6 \times C(1 \times 9)) \times 6$$
$$\mathbf{261960} := (-C(2) + 6 \times C(1 \times 9)) \times 60$$
$$\mathbf{2619600} := (-C(2) + 6 \times C(1 \times 9)) \times 600$$

$$\mathbf{26553} := (C(C(2)) - 6 - 5) \times 53$$
$$\mathbf{265530} := (C(C(2)) - 6 - 5) \times 530$$

$$\mathbf{2655300} := (C(C(2)) - 6 - 5) \times 5300$$

$$\mathbf{26775} := (C(2) + 6 + C(7)) \times 75$$
$$\mathbf{267750} := (C(2) + 6 + C(7)) \times 750$$
$$\mathbf{2677500} := (C(2) + 6 + C(7)) \times 7500$$

$$\mathbf{26968} := (2 - 6 + C(9+6)) \times 8$$
$$\mathbf{269680} := (2 - 6 + C(9+6)) \times 80$$
$$\mathbf{2696800} := (2 - 6 + C(9+6)) \times 800$$

$$\mathbf{27339} := (C(C(2)) + 7 \times C(3)) \times 39$$
$$\mathbf{273390} := (C(C(2)) + 7 \times C(3)) \times 390$$
$$\mathbf{2733900} := (C(C(2)) + 7 \times C(3)) \times 3900$$

$$\mathbf{27378} := (C(2) + 7^3) \times 78$$
$$\mathbf{273780} := (C(2) + 7^3) \times 780$$
$$\mathbf{2737800} := (C(2) + 7^3) \times 7800$$

$$\mathbf{27546} := (-C(C(2)) + 7 \times C(5+4)) \times 6$$
$$\mathbf{275460} := (-C(C(2)) + 7 \times C(5+4)) \times 60$$
$$\mathbf{2754600} := (-C(C(2)) + 7 \times C(5+4)) \times 600$$

$$\mathbf{27549} := ((-2+7)^5 - C(4)) \times 9$$
$$\mathbf{275490} := ((-2+7)^5 - C(4)) \times 90$$
$$\mathbf{2754900} := ((-2+7)^5 - C(4)) \times 900$$

$$\mathbf{27864} := (2 \times C(7+8) + C(6)) \times 4$$
$$\mathbf{278640} := (2 \times C(7+8) + C(6)) \times 40$$
$$\mathbf{2786400} := (2 \times C(7+8) + C(6)) \times 400$$

$$\mathbf{27945} := (2 + C(7)) \times 9 \times (4+5)$$
$$\mathbf{279450} := (2 + C(7)) \times 9 \times (40+50)$$
$$\mathbf{2794500} := (2 + C(7)) \times 9 \times (400+500)$$

$$\mathbf{28217} := ((-C(2) + C(8)) \times C(2) - 1) \times 7$$
$$\mathbf{282170} := ((-C(2) + C(8)) \times C(2) - 1) \times 70$$
$$\mathbf{2821700} := ((-C(2) + C(8)) \times C(2) - 1) \times 700$$

$$\mathbf{28324} := (C(2) + C(8) + 3^{C(2)}) \times 4$$

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$$\mathbf{283240} := (C(2) + C(8) + 3^{C(2)}) \times 40$$
$$\mathbf{2832400} := (C(2) + C(8) + 3^{C(2)}) \times 400$$

$$\mathbf{28575} := (2^8 + C(5)) \times 75$$
$$\mathbf{285750} := (2^8 + C(5)) \times 750$$
$$\mathbf{2857500} := (2^8 + C(5)) \times 7500$$

$$\mathbf{28688} := (2 + C(8) \times 6 + C(8)) \times 8$$
$$\mathbf{286880} := (2 + C(8) \times 6 + C(8)) \times 80$$
$$\mathbf{2868800} := (2 + C(8) \times 6 + C(8)) \times 800$$

$$\mathbf{29115} := (C(2) \times (C(9) - 1) - 1) \times 5$$
$$\mathbf{291150} := (C(2) \times (C(9) - 1) - 1) \times 50$$
$$\mathbf{2911500} := (C(2) \times (C(9) - 1) - 1) \times 500$$

$$\mathbf{29125} := (C(2 \times 9) + 1 - C(2)) \times 5$$
$$\mathbf{291250} := (C(2 \times 9) + 1 - C(2)) \times 50$$
$$\mathbf{2912500} := (C(2 \times 9) + 1 - C(2)) \times 500$$

$$\mathbf{29135} := (C(2) \times (C(9) - 1) + 3) \times 5$$
$$\mathbf{291350} := (C(2) \times (C(9) - 1) + 3) \times 50$$
$$\mathbf{2913500} := (C(2) \times (C(9) - 1) + 3) \times 500$$

$$\mathbf{29145} := (C(2 \times 9) + 1 - 4) \times 5$$
$$\mathbf{291450} := (C(2 \times 9) + 1 - 4) \times 50$$
$$\mathbf{2914500} := (C(2 \times 9) + 1 - 4) \times 500$$

$$\mathbf{29248} := C(2) \times (9 + C(C(2)) - C(4)) \times 8$$
$$\mathbf{292480} := C(2) \times (9 + C(C(2)) - C(4)) \times 80$$
$$\mathbf{2924800} := C(2) \times (9 + C(C(2)) - C(4)) \times 800$$

$$\mathbf{29275} := ((2 + C(9)) \times C(2) + 7) \times 5$$
$$\mathbf{292750} := ((2 + C(9)) \times C(2) + 7) \times 50$$
$$\mathbf{2927500} := ((2 + C(9)) \times C(2) + 7) \times 500$$

$$\mathbf{29315} := (C(2 \times 9) + 31) \times 5$$
$$\mathbf{293150} := (C(2 \times 9) + 31) \times 50$$
$$\mathbf{2931500} := (C(2 \times 9) + 31) \times 500$$

$$\mathbf{29316} := (C(C(2) + 9) - C(3)) \times 1 \times 6$$

$$\mathbf{293160} := (C(C(2) + 9) - C(3)) \times 1 \times 60$$
$$\mathbf{2931600} := (C(C(2) + 9) - C(3)) \times 1 \times 600$$

$$\mathbf{29335} := (C(2) + C(-9 + C(3)) + C(3)) \times 5$$
$$\mathbf{293350} := (C(2) + C(-9 + C(3)) + C(3)) \times 50$$
$$\mathbf{2933500} := (C(2) + C(-9 + C(3)) + C(3)) \times 500$$

$$\mathbf{29345} := (C(2 \times 9) - C(3) + C(4)) \times 5$$
$$\mathbf{293450} := (C(2 \times 9) - C(3) + C(4)) \times 50$$
$$\mathbf{2934500} := (C(2 \times 9) - C(3) + C(4)) \times 500$$

$$\mathbf{29425} := (C(C(2)) + C(9) - C(4)) \times 25$$
$$\mathbf{294250} := (C(C(2)) + C(9) - C(4)) \times 250$$
$$\mathbf{2942500} := (C(C(2)) + C(9) - C(4)) \times 2500$$

$$\mathbf{29436} := (C(C(2) + 9) - 4 - 3) \times 6$$
$$\mathbf{294360} := (C(C(2) + 9) - 4 - 3) \times 60$$
$$\mathbf{2943600} := (C(C(2) + 9) - 4 - 3) \times 600$$

$$\mathbf{29455} := (C(2 \times 9) + C(4) - 5) \times 5$$
$$\mathbf{294550} := (C(2 \times 9) + C(4) - 5) \times 50$$
$$\mathbf{2945500} := (C(2 \times 9) + C(4) - 5) \times 500$$

$$\mathbf{29466} := (C(C(2) + 9) + 4 - 6) \times 6$$
$$\mathbf{294660} := (C(C(2) + 9) + 4 - 6) \times 60$$
$$\mathbf{2946600} := (C(C(2) + 9) + 4 - 6) \times 600$$

$$\mathbf{29547} := (C(C(2)) + C(9) \times 5 + C(4)) \times 7$$
$$\mathbf{295470} := (C(C(2)) + C(9) \times 5 + C(4)) \times 70$$
$$\mathbf{2954700} := (C(C(2)) + C(9) \times 5 + C(4)) \times 700$$

$$\mathbf{29573} := C(29) + C(5 + 7) \times 3$$
$$\mathbf{29641} := (-2 + C(9) - 6) \times 41$$
$$\mathbf{296410} := (-2 + C(9) - 6) \times 410$$
$$\mathbf{2964100} := (-2 + C(9) - 6) \times 4100$$

$$\mathbf{29706} := (C(C(2)) \times 9 + C(7)) \times 06$$
$$\mathbf{297060} := (C(C(2)) \times 9 + C(7)) \times 060$$
$$\mathbf{2970600} := (C(C(2)) \times 9 + C(7)) \times 0600$$

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$$\mathbf{29791} := C(29-7+9)\times 1$$
$$\mathbf{297910} := C(29-7+9)\times 10$$
$$\mathbf{2979100} := C(29-7+9)\times 100$$

$$\mathbf{29853} := (2\times C(9+8)+C(5))\times 3$$
$$\mathbf{298530} := (2\times C(9+8)+C(5))\times 30$$
$$\mathbf{2985300} := (2\times C(9+8)+C(5))\times 300$$

$$\mathbf{31242} := (C(C(3)-1\times 2)-4)\times 2$$
$$\mathbf{312420} := (C(C(3)-1\times 2)-4)\times 20$$
$$\mathbf{3124200} := (C(C(3)-1\times 2)-4)\times 200$$

$$\mathbf{31262} := (C(C(3)-1\times 2)+6)\times 2$$
$$\mathbf{312620} := (C(C(3)-1\times 2)+6)\times 20$$
$$\mathbf{3126200} := (C(C(3)-1\times 2)+6)\times 200$$

$$\mathbf{31265} := (-31+C(C(2)))\times 65$$
$$\mathbf{312650} := (-31+C(C(2)))\times 650$$
$$\mathbf{3126500} := (-31+C(C(2)))\times 6500$$

$$\mathbf{31744} := (C(3+17)-C(4))\times 4$$
$$\mathbf{317440} := (C(3+17)-C(4))\times 40$$
$$\mathbf{3174400} := (C(3+17)-C(4))\times 400$$

$$\mathbf{31944} := (-3+C(1\times 9))\times 44$$
$$\mathbf{319440} := (-3+C(1\times 9))\times 440$$
$$\mathbf{3194400} := (-3+C(1\times 9))\times 4400$$

$$\mathbf{32256} := (3\times C(2))^2\times 56$$
$$\mathbf{322560} := (3\times C(2))^2\times 560$$
$$\mathbf{3225600} := (3\times C(2))^2\times 5600$$

$$\mathbf{32277} := (3+C(C(2))\times(2+7))\times 7$$
$$\mathbf{322770} := (3+C(C(2))\times(2+7))\times 70$$
$$\mathbf{3227700} := (3+C(C(2))\times(2+7))\times 700$$

$$\mathbf{32292} := (C(C(3)-2)+C(C(2))+9)\times 2$$
$$\mathbf{322920} := (C(C(3)-2)+C(C(2))+9)\times 20$$
$$\mathbf{3229200} := (C(C(3)-2)+C(C(2))+9)\times 200$$

$$\mathbf{32451} := ((-3+C(C(2)))\times C(4)-C(5))\times 1$$
$$\mathbf{324510} := ((-3+C(C(2)))\times C(4)-C(5))\times 10$$
$$\mathbf{3245100} := ((-3+C(C(2)))\times C(4)-C(5))\times 100$$

$$\mathbf{32472} := (3+C(C(2))-C(4))\times 72$$
$$\mathbf{324720} := (3+C(C(2))-C(4))\times 720$$
$$\mathbf{3247200} := (3+C(C(2))-C(4))\times 7200$$

$$\mathbf{32485} := (3^{C(2)}-C(-4+8))\times 5$$
$$\mathbf{324850} := (3^{C(2)}-C(-4+8))\times 50$$
$$\mathbf{3248500} := (3^{C(2)}-C(-4+8))\times 500$$

$$\mathbf{32488} := (-C(3)+C(2^4)-8)\times 8$$
$$\mathbf{324880} := (-C(3)+C(2^4)-8)\times 80$$
$$\mathbf{3248800} := (-C(3)+C(2^4)-8)\times 800$$

$$\mathbf{32528} := (C(C(3))-C(25)+C(2))\times 8$$
$$\mathbf{325280} := (C(C(3))-C(25)+C(2))\times 80$$
$$\mathbf{3252800} := (C(C(3))-C(25)+C(2))\times 800$$

$$\mathbf{32625} := (3^{C(2)}-6^2)\times 5$$
$$\mathbf{326250} := (3^{C(2)}-6^2)\times 50$$
$$\mathbf{3262500} := (3^{C(2)}-6^2)\times 500$$

$$\mathbf{32655} := (3^{C(2)}-6\times 5)\times 5$$
$$\mathbf{326550} := (3^{C(2)}-6\times 5)\times 50$$
$$\mathbf{3265500} := (3^{C(2)}-6\times 5)\times 500$$

$$\mathbf{32697} := ((C(3)-2)\times C(6)-C(9))\times 7$$
$$\mathbf{326970} := ((C(3)-2)\times C(6)-C(9))\times 70$$
$$\mathbf{3269700} := ((C(3)-2)\times C(6)-C(9))\times 700$$

$$\mathbf{32825} := (3^{C(2)}+8/2)\times 5$$
$$\mathbf{328250} := (3^{C(2)}+8/2)\times 50$$
$$\mathbf{3282500} := (3^{C(2)}+8/2)\times 500$$

$$\mathbf{32955} := 3\times C(2\times 9-5)\times 5$$
$$\mathbf{329550} := 3\times C(2\times 9-5)\times 50$$

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$$\mathbf{3295500} := 3 \times C(2 \times 9 - 5) \times 500$$

$$\mathbf{33124} := (C(3) + C(3+1))^2 \times 4$$
$$\mathbf{331240} := (C(3) + C(3+1))^2 \times 40$$
$$\mathbf{3312400} := (C(3) + C(3+1))^2 \times 400$$

$$\mathbf{33222} := (C(C(3)) - 3 \times 2 \times C(C(2))) \times 2$$
$$\mathbf{332220} := (C(C(3)) - 3 \times 2 \times C(C(2))) \times 20$$
$$\mathbf{3322200} := (C(C(3)) - 3 \times 2 \times C(C(2))) \times 200$$

$$\mathbf{33345} := (C(C(3))/3 + C(3) \times 4) \times 5$$
$$\mathbf{333450} := (C(C(3))/3 + C(3) \times 4) \times 50$$
$$\mathbf{3334500} := (C(C(3))/3 + C(3) \times 4) \times 500$$

$$\mathbf{33445} := (C(C(3))/3 + C(4) + C(4)) \times 5$$
$$\mathbf{334450} := (C(C(3))/3 + C(4) + C(4)) \times 50$$
$$\mathbf{3344500} := (C(C(3))/3 + C(4) + C(4)) \times 500$$

$$\mathbf{33465} := (-3 + (C(3) + 4) \times C(6)) \times 5$$
$$\mathbf{334650} := (-3 + (C(3) + 4) \times C(6)) \times 50$$
$$\mathbf{3346500} := (-3 + (C(3) + 4) \times C(6)) \times 500$$

$$\mathbf{33528} := 33 \times (C(5) + 2) \times 8$$
$$\mathbf{335280} := 33 \times (C(5) + 2) \times 80$$
$$\mathbf{3352800} := 33 \times (C(5) + 2) \times 800$$

$$\mathbf{33561} := C(C(3))/3 + C(5 \times 6) \times 1$$
$$\mathbf{335610} := C(C(3))/3 + C(5 \times 6) \times 10$$
$$\mathbf{3356100} := C(C(3))/3 + C(5 \times 6) \times 100$$

$$\mathbf{33655} := C(C(3) + 3) + C(6 + 5) \times 5$$
$$\mathbf{33865} := (3 \times 3 + C(8)) \times 65$$
$$\mathbf{338650} := (3 \times 3 + C(8)) \times 650$$
$$\mathbf{3386500} := (3 \times 3 + C(8)) \times 6500$$

$$\mathbf{33872} := (C(C(3)) - 3 - 8 \times C(7)) \times 2$$
$$\mathbf{338720} := (C(C(3)) - 3 - 8 \times C(7)) \times 20$$
$$\mathbf{3387200} := (C(C(3)) - 3 - 8 \times C(7)) \times 200$$

$$\mathbf{34225} := (-C(3) + C(4))^2 \times 25$$

$$\mathbf{342250} := (-C(3) + C(4))^2 \times 250$$
$$\mathbf{3422500} := (-C(3) + C(4))^2 \times 2500$$

$$\mathbf{34235} := (-3 \times 4 + C(-C(2) + C(3))) \times 5$$
$$\mathbf{342350} := (-3 \times 4 + C(-C(2) + C(3))) \times 50$$
$$\mathbf{3423500} := (-3 \times 4 + C(-C(2) + C(3))) \times 500$$

$$\mathbf{34265} := (C(3 + 4^2) - 6) \times 5$$
$$\mathbf{342650} := (C(3 + 4^2) - 6) \times 50$$
$$\mathbf{3426500} := (C(3 + 4^2) - 6) \times 500$$

$$\mathbf{34276} := (3 - C(4) + C(C(2))) \times 76$$
$$\mathbf{342760} := (3 - C(4) + C(C(2))) \times 760$$
$$\mathbf{3427600} := (3 - C(4) + C(C(2))) \times 7600$$

$$\mathbf{34295} := C(3 \times 4 - 2 + 9) \times 5$$
$$\mathbf{342950} := C(3 \times 4 - 2 + 9) \times 50$$
$$\mathbf{3429500} := C(3 \times 4 - 2 + 9) \times 500$$

$$\mathbf{34447} := (C(C(3)) + 4/4)/4 \times 7$$
$$\mathbf{344470} := (C(C(3)) + 4/4)/4 \times 70$$
$$\mathbf{3444700} := (C(C(3)) + 4/4)/4 \times 700$$

$$\mathbf{34544} := (C(3 \times 4) \times 5 - 4) \times 4$$
$$\mathbf{345440} := (C(3 \times 4) \times 5 - 4) \times 40$$
$$\mathbf{3454400} := (C(3 \times 4) \times 5 - 4) \times 400$$

$$\mathbf{34575} := (3 + 4 \times C(5 + 7)) \times 5$$
$$\mathbf{345750} := (3 + 4 \times C(5 + 7)) \times 50$$
$$\mathbf{3457500} := (3 + 4 \times C(5 + 7)) \times 500$$

$$\mathbf{34835} := (C(3) \times 4 + C(-8 + C(3))) \times 5$$
$$\mathbf{348350} := (C(3) \times 4 + C(-8 + C(3))) \times 50$$
$$\mathbf{3483500} := (C(3) \times 4 + C(-8 + C(3))) \times 500$$

$$\mathbf{34968} := (-C(3) + (4 + C(9)) \times 6) \times 8$$
$$\mathbf{349680} := (-C(3) + (4 + C(9)) \times 6) \times 80$$
$$\mathbf{3496800} := (-C(3) + (4 + C(9)) \times 6) \times 800$$

$$\mathbf{34986} := C(3 + 4) \times (9 + 8) \times 6$$

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$$\mathbf{349860} := C(3+4)\times(9+8)\times 60$$
$$\mathbf{3498600} := C(3+4)\times(9+8)\times 600$$

$$\mathbf{35235} := 3^5\times(2+C(3))\times 5$$
$$\mathbf{352350} := 3^5\times(2+C(3))\times 50$$
$$\mathbf{3523500} := 3^5\times(2+C(3))\times 500$$

$$\mathbf{35424} := C(3)\times(5\times C(4)+C(2))\times 4$$
$$\mathbf{354240} := C(3)\times(5\times C(4)+C(2))\times 40$$
$$\mathbf{3542400} := C(3)\times(5\times C(4)+C(2))\times 400$$

$$\mathbf{35475} := (-C(3)+C(5)\times 4)\times 75$$
$$\mathbf{354750} := (-C(3)+C(5)\times 4)\times 750$$
$$\mathbf{3547500} := (-C(3)+C(5)\times 4)\times 7500$$

$$\mathbf{35655} := 3\times(5+C(6))\times 55$$
$$\mathbf{356550} := 3\times(5+C(6))\times 550$$
$$\mathbf{3565500} := 3\times(5+C(6))\times 5500$$

$$\mathbf{35968} := (-3+C(5)+C(9)\times 6)\times 8$$
$$\mathbf{359680} := (-3+C(5)+C(9)\times 6)\times 80$$
$$\mathbf{3596800} := (-3+C(5)+C(9)\times 6)\times 800$$

$$\mathbf{35991} := C(3)\times(-C(5)+C(9)+C(9))\times 1$$
$$\mathbf{359910} := C(3)\times(-C(5)+C(9)+C(9))\times 10$$
$$\mathbf{3599100} := C(3)\times(-C(5)+C(9)+C(9))\times 100$$

$$\mathbf{36126} := C(3)\times(C(6)-1+C(2))\times 6$$
$$\mathbf{361260} := C(3)\times(C(6)-1+C(2))\times 60$$
$$\mathbf{3612600} := C(3)\times(C(6)-1+C(2))\times 600$$

$$\mathbf{36375} := (-C(3)+C(C(6/3)))\times 75$$
$$\mathbf{363750} := (-C(3)+C(C(6/3)))\times 750$$
$$\mathbf{3637500} := (-C(3)+C(C(6/3)))\times 7500$$

$$\mathbf{36549} := ((C(3)+6)\times C(5)-C(4))\times 9$$
$$\mathbf{365490} := ((C(3)+6)\times C(5)-C(4))\times 90$$
$$\mathbf{3654900} := ((C(3)+6)\times C(5)-C(4))\times 900$$

$$\mathbf{36675} := (C(C(3))-6\times 6\times C(7))\times 5$$

$$\mathbf{366750} := (C(C(3))-6\times 6\times C(7))\times 50$$
$$\mathbf{3667500} := (C(C(3))-6\times 6\times C(7))\times 500$$

$$\mathbf{36735} := (3+C(6)\times(7+C(3)))\times 5$$
$$\mathbf{367350} := (3+C(6)\times(7+C(3)))\times 50$$
$$\mathbf{3673500} := (3+C(6)\times(7+C(3)))\times 500$$

$$\mathbf{37184} := (C(3)\times(C(7)+1)+8)\times 4$$
$$\mathbf{371840} := (C(3)\times(C(7)+1)+8)\times 40$$
$$\mathbf{3718400} := (C(3)\times(C(7)+1)+8)\times 400$$

$$\mathbf{37244} := (C(3)\times(C(7)+2)-4)\times 4$$
$$\mathbf{372440} := (C(3)\times(C(7)+2)-4)\times 40$$
$$\mathbf{3724400} := (C(3)\times(C(7)+2)-4)\times 400$$

$$\mathbf{37324} := (C(C(3)-7)+C(3+C(2)))\times 4$$
$$\mathbf{373240} := (C(C(3)-7)+C(3+C(2)))\times 40$$
$$\mathbf{3732400} := (C(C(3)-7)+C(3+C(2)))\times 400$$

$$\mathbf{37326} := (3-C(7)+3^{C(2)})\times 6$$
$$\mathbf{373260} := (3-C(7)+3^{C(2)})\times 60$$
$$\mathbf{3732600} := (3-C(7)+3^{C(2)})\times 600$$

$$\mathbf{37382} := (-C(3+7)+C(C(3))+8)\times 2$$
$$\mathbf{373820} := (-C(3+7)+C(C(3))+8)\times 20$$
$$\mathbf{3738200} := (-C(3+7)+C(C(3))+8)\times 200$$

$$\mathbf{37584} := C(3)\times(C(7)+5)\times(8-4)$$
$$\mathbf{375840} := C(3)\times(C(7)+5)\times(80-40)$$
$$\mathbf{3758400} := C(3)\times(C(7)+5)\times(800-400)$$

$$\mathbf{37665} := (C(3\times 7)-C(6+6))\times 5$$
$$\mathbf{376650} := (C(3\times 7)-C(6+6))\times 50$$
$$\mathbf{3766500} := (C(3\times 7)-C(6+6))\times 500$$

$$\mathbf{37854} := (C(3)\times 7+C(8))\times 54$$
$$\mathbf{378540} := (C(3)\times 7+C(8))\times 540$$
$$\mathbf{3785400} := (C(3)\times 7+C(8))\times 5400$$

$$\mathbf{37962} := 37\times(C(9)-C(6))\times 2$$

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$$\mathbf{379620} := 37 \times (C(9) - C(6)) \times 20$$
$$\mathbf{3796200} := 37 \times (C(9) - C(6)) \times 200$$

$$\mathbf{37984} := (C(3) \times (C(7) + 9) - 8) \times 4$$
$$\mathbf{379840} := (C(3) \times (C(7) + 9) - 8) \times 40$$
$$\mathbf{3798400} := (C(3) \times (C(7) + 9) - 8) \times 400$$

$$\mathbf{38269} := (C(3) + C(8)) \times (2 + 69)$$
$$\mathbf{382690} := (C(3) + C(8)) \times (20 + 690)$$
$$\mathbf{3826900} := (C(3) + C(8)) \times (200 + 6900)$$

$$\mathbf{38342} := (C(C(3)) - C(8)) \times (-3 + 4) \times 2$$
$$\mathbf{383420} := (C(C(3)) - C(8)) \times (-3 + 4) \times 20$$
$$\mathbf{3834200} := (C(C(3)) - C(8)) \times (-3 + 4) \times 200$$

$$\mathbf{38352} := (C(C(3)) - 8^3 + 5) \times 2$$
$$\mathbf{383520} := (C(C(3)) - 8^3 + 5) \times 20$$
$$\mathbf{3835200} := (C(C(3)) - 8^3 + 5) \times 200$$

$$\mathbf{38475} := (-3 + C(8) + 4) \times 75$$
$$\mathbf{384750} := (-3 + C(8) + 4) \times 750$$
$$\mathbf{3847500} := (-3 + C(8) + 4) \times 7500$$

$$\mathbf{38525} := (3 \times C(8) + 5) \times 25$$
$$\mathbf{385250} := (3 \times C(8) + 5) \times 250$$
$$\mathbf{3852500} := (3 \times C(8) + 5) \times 2500$$

$$\mathbf{38535} := (3 \times C(8) \times 5 + C(3)) \times 5$$
$$\mathbf{385350} := (3 \times C(8) \times 5 + C(3)) \times 50$$
$$\mathbf{3853500} := (3 \times C(8) \times 5 + C(3)) \times 500$$

$$\mathbf{38616} := (3^8 - C(6 - 1)) \times 6$$
$$\mathbf{386160} := (3^8 - C(6 - 1)) \times 60$$
$$\mathbf{3861600} := (3^8 - C(6 - 1)) \times 600$$

$$\mathbf{38745} := C(3) \times (8 + C(7) - C(4)) \times 5$$
$$\mathbf{387450} := C(3) \times (8 + C(7) - C(4)) \times 50$$
$$\mathbf{3874500} := C(3) \times (8 + C(7) - C(4)) \times 500$$

$$\mathbf{38912} := 38 \times C(9 - 1) \times 2$$

$$\mathbf{389120} := 38 \times C(9 - 1) \times 20$$
$$\mathbf{3891200} := 38 \times C(9 - 1) \times 200$$

$$\mathbf{38932} := (C(C(3)) + C(8) - 9^3) \times 2$$
$$\mathbf{389320} := (C(C(3)) + C(8) - 9^3) \times 20$$
$$\mathbf{3893200} := (C(C(3)) + C(8) - 9^3) \times 200$$

$$\mathbf{38942} := (C(3) \times (-8 + C(9)) + 4) \times 2$$
$$\mathbf{389420} := (C(3) \times (-8 + C(9)) + 4) \times 20$$
$$\mathbf{3894200} := (C(3) \times (-8 + C(9)) + 4) \times 200$$

$$\mathbf{39088} := (-C(3) + C(9 + 08)) \times 8$$
$$\mathbf{390880} := (-C(3) + C(9 + 08)) \times 80$$
$$\mathbf{3908800} := (-C(3) + C(9 + 08)) \times 800$$

$$\mathbf{39132} := (C(C(3)) - 9 \times 13) \times 2$$
$$\mathbf{391320} := (C(C(3)) - 9 \times 13) \times 20$$
$$\mathbf{3913200} := (C(C(3)) - 9 \times 13) \times 200$$

$$\mathbf{39242} := (3^9 + 2 - C(4)) \times 2$$
$$\mathbf{392420} := (3^9 + 2 - C(4)) \times 20$$
$$\mathbf{3924200} := (3^9 + 2 - C(4)) \times 200$$

$$\mathbf{39272} := (C(3) \times (C(9) - 2) + 7) \times 2$$
$$\mathbf{392720} := (C(3) \times (C(9) - 2) + 7) \times 20$$
$$\mathbf{3927200} := (C(3) \times (C(9) - 2) + 7) \times 200$$

$$\mathbf{39312} := C(3) \times (9^3 - 1) \times 2$$
$$\mathbf{393120} := C(3) \times (9^3 - 1) \times 20$$
$$\mathbf{3931200} := C(3) \times (9^3 - 1) \times 200$$

$$\mathbf{39352} := (C(C(3)) - 9 - 3 + 5) \times 2$$
$$\mathbf{393520} := (C(C(3)) - 9 - 3 + 5) \times 20$$
$$\mathbf{3935200} := (C(C(3)) - 9 - 3 + 5) \times 200$$

$$\mathbf{39422} := (C(C(3)) + 9 \times 4 - C(2)) \times 2$$
$$\mathbf{394220} := (C(C(3)) + 9 \times 4 - C(2)) \times 20$$
$$\mathbf{3942200} := (C(C(3)) + 9 \times 4 - C(2)) \times 200$$

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$$\mathbf{39456} := 3 \times (C(9+4) - 5) \times 6$$
$$\mathbf{394560} := 3 \times (C(9+4) - 5) \times 60$$
$$\mathbf{3945600} := 3 \times (C(9+4) - 5) \times 600$$

$$\mathbf{39492} := (-3 + C(9+4)) \times 9 \times 2$$
$$\mathbf{394920} := (-3 + C(9+4)) \times 9 \times 20$$
$$\mathbf{3949200} := (-3 + C(9+4)) \times 9 \times 200$$

$$\mathbf{39512} := (C(C(3)) + 9 + C(5-1)) \times 2$$
$$\mathbf{395120} := (C(C(3)) + 9 + C(5-1)) \times 20$$
$$\mathbf{3951200} := (C(C(3)) + 9 + C(5-1)) \times 200$$

$$\mathbf{39546} := C(39)/(5+4) \times 6$$
$$\mathbf{395460} := C(39)/(5+4) \times 60$$
$$\mathbf{3954600} := C(39)/(5+4) \times 600$$

$$\mathbf{39609} := (C(3) + C(9) \times 6) \times 09$$
$$\mathbf{396090} := (C(3) + C(9) \times 6) \times 090$$
$$\mathbf{3960900} := (C(3) + C(9) \times 6) \times 0900$$

$$\mathbf{39722} := (C(C(3)) + 9 - C(7) + C(C(2))) \times 2$$
$$\mathbf{397220} := (C(C(3)) + 9 - C(7) + C(C(2))) \times 20$$
$$\mathbf{3972200} := (C(C(3)) + 9 - C(7) + C(C(2))) \times 200$$

$$\mathbf{39825} := C(3) \times (-C(9) + C(8) \times 2) \times 5$$
$$\mathbf{398250} := C(3) \times (-C(9) + C(8) \times 2) \times 50$$
$$\mathbf{3982500} := C(3) \times (-C(9) + C(8) \times 2) \times 500$$

$$\mathbf{40382} := (-4 + C(C(03)) + C(8)) \times 2$$
$$\mathbf{403820} := (-4 + C(C(03)) + C(8)) \times 20$$
$$\mathbf{4038200} := (-4 + C(C(03)) + C(8)) \times 200$$

$$\mathbf{41463} := (-4 + 1 + C(4 \times 6)) \times 3$$
$$\mathbf{414630} := (-4 + 1 + C(4 \times 6)) \times 30$$
$$\mathbf{4146300} := (-4 + 1 + C(4 \times 6)) \times 300$$

$$\mathbf{41976} := (-4 + C(1+9) \times 7) \times 6$$
$$\mathbf{419760} := (-4 + C(1+9) \times 7) \times 60$$
$$\mathbf{4197600} := (-4 + C(1+9) \times 7) \times 600$$

$$\mathbf{42394} := (-C(4) + C(C(2)) + 3) \times 94$$
$$\mathbf{423940} := (-C(4) + C(C(2)) + 3) \times 940$$
$$\mathbf{4239400} := (-C(4) + C(C(2)) + 3) \times 9400$$

$$\mathbf{42624} := (C(4^2 + 6) + C(2)) \times 4$$
$$\mathbf{426240} := (C(4^2 + 6) + C(2)) \times 40$$
$$\mathbf{4262400} := (C(4^2 + 6) + C(2)) \times 400$$

$$\mathbf{42871} := (-4 + C(28+7)) \times 1$$
$$\mathbf{428710} := (-4 + C(28+7)) \times 10$$
$$\mathbf{4287100} := (-4 + C(28+7)) \times 100$$

$$\mathbf{43245} := (4 + C(3))^2 \times 45$$
$$\mathbf{432450} := (4 + C(3))^2 \times 450$$
$$\mathbf{4324500} := (4 + C(3))^2 \times 4500$$

$$\mathbf{43296} := (-C(4) + 3 + C(C(2))) \times 96$$
$$\mathbf{432960} := (-C(4) + 3 + C(C(2))) \times 960$$
$$\mathbf{4329600} := (-C(4) + 3 + C(C(2))) \times 9600$$

$$\mathbf{43392} := C(4) \times 339 \times 2$$
$$\mathbf{433920} := C(4) \times 339 \times 20$$
$$\mathbf{4339200} := C(4) \times 339 \times 200$$

$$\mathbf{43569} := ((C(4) - C(3)) \times C(5) + C(6)) \times 9$$
$$\mathbf{435690} := ((C(4) - C(3)) \times C(5) + C(6)) \times 90$$
$$\mathbf{4356900} := ((C(4) - C(3)) \times C(5) + C(6)) \times 900$$

$$\mathbf{43725} := (-4 + C(3 \times 7) - C(C(2))) \times 5$$
$$\mathbf{437250} := (-4 + C(3 \times 7) - C(C(2))) \times 50$$
$$\mathbf{4372500} := (-4 + C(3 \times 7) - C(C(2))) \times 500$$

$$\mathbf{43732} := (-4 + 3^7 + C(C(3))) \times 2$$
$$\mathbf{437320} := (-4 + 3^7 + C(C(3))) \times 20$$
$$\mathbf{4373200} := (-4 + 3^7 + C(C(3))) \times 200$$

$$\mathbf{43912} := (4 + C(3 \times 9 + 1)) \times 2$$
$$\mathbf{439120} := (4 + C(3 \times 9 + 1)) \times 20$$
$$\mathbf{4391200} := (4 + C(3 \times 9 + 1)) \times 200$$

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$$\mathbf{45276} := (4\times 5+2)\times C(7)\times 6$$
$$\mathbf{452760} := (4\times 5+2)\times C(7)\times 60$$
$$\mathbf{4527600} := (4\times 5+2)\times C(7)\times 600$$

$$\mathbf{45375} := (-4+C(5))\times 375$$
$$\mathbf{453750} := (-4+C(5))\times 3750$$
$$\mathbf{4537500} := (-4+C(5))\times 37500$$

$$\mathbf{45945} := (C(4)+C(5)\times(9+C(4)))\times 5$$
$$\mathbf{459450} := (C(4)+C(5)\times(9+C(4)))\times 50$$
$$\mathbf{4594500} := (C(4)+C(5)\times(9+C(4)))\times 500$$

$$\mathbf{46305} := C(4\times 6-3)\times 05$$
$$\mathbf{463050} := C(4\times 6-3)\times 050$$
$$\mathbf{4630500} := C(4\times 6-3)\times 0500$$

$$\mathbf{46325} := (-4+C(-6+C(3))+C(2))\times 5$$
$$\mathbf{463250} := (-4+C(-6+C(3))+C(2))\times 50$$
$$\mathbf{4632500} := (-4+C(-6+C(3))+C(2))\times 500$$

$$\mathbf{46345} := (4+C(-6+C(3))+4)\times 5$$
$$\mathbf{463450} := (4+C(-6+C(3))+4)\times 50$$
$$\mathbf{4634500} := (4+C(-6+C(3))+4)\times 500$$

$$\mathbf{46557} := (-4+C(6+5)\times 5)\times 7$$
$$\mathbf{465570} := (-4+C(6+5)\times 5)\times 70$$
$$\mathbf{4655700} := (-4+C(6+5)\times 5)\times 700$$

$$\mathbf{47365} := (-4+C(7\times 3)+C(6))\times 5$$
$$\mathbf{473650} := (-4+C(7\times 3)+C(6))\times 50$$
$$\mathbf{4736500} := (-4+C(7\times 3)+C(6))\times 500$$

$$\mathbf{47775} := (4\times C(7)-7)\times 7\times 5$$
$$\mathbf{477750} := (4\times C(7)-7)\times 7\times 50$$
$$\mathbf{4777500} := (4\times C(7)-7)\times 7\times 500$$

$$\mathbf{47924} := (C(4+7)\times 9+2)\times 4$$
$$\mathbf{479240} := (C(4+7)\times 9+2)\times 40$$
$$\mathbf{4792400} := (C(4+7)\times 9+2)\times 400$$

$$\mathbf{48237} := (4\times 8+C(-C(2)+C(3)))\times 7$$
$$\mathbf{482370} := (4\times 8+C(-C(2)+C(3)))\times 70$$
$$\mathbf{4823700} := (4\times 8+C(-C(2)+C(3)))\times 700$$

$$\mathbf{48768} := 48\times(C(7)-C(6))\times 8$$
$$\mathbf{487680} := 48\times(C(7)-C(6))\times 80$$
$$\mathbf{4876800} := 48\times(C(7)-C(6))\times 800$$

$$\mathbf{49233} := (4^{9-2}+C(3))\times 3$$
$$\mathbf{492330} := (4^{9-2}+C(3))\times 30$$
$$\mathbf{4923300} := (4^{9-2}+C(3))\times 300$$

$$\mathbf{49275} := (-C(4)+C(9)-C(2))\times 75$$
$$\mathbf{492750} := (-C(4)+C(9)-C(2))\times 750$$
$$\mathbf{4927500} := (-C(4)+C(9)-C(2))\times 7500$$

$$\mathbf{49656} := 4\times(9\times C(6)+C(5))\times 6$$
$$\mathbf{496560} := 4\times(9\times C(6)+C(5))\times 60$$
$$\mathbf{4965600} := 4\times(9\times C(6)+C(5))\times 600$$

$$\mathbf{49728} := (C(4)\times 97+C(2))\times 8$$
$$\mathbf{497280} := (C(4)\times 97+C(2))\times 80$$
$$\mathbf{4972800} := (C(4)\times 97+C(2))\times 800$$

$$\mathbf{51408} := (C(5)+1)\times 408$$
$$\mathbf{514080} := (C(5)+1)\times 4080$$
$$\mathbf{5140800} := (C(5)+1)\times 40800$$

$$\mathbf{51488} := (-C(5)+(-1+4)^8)\times 8$$
$$\mathbf{514880} := (-C(5)+(-1+4)^8)\times 80$$
$$\mathbf{5148800} := (-C(5)+(-1+4)^8)\times 800$$

$$\mathbf{52135} := (5-C(21)+C(C(3)))\times 5$$
$$\mathbf{521350} := (5-C(21)+C(C(3)))\times 50$$
$$\mathbf{5213500} := (5-C(21)+C(C(3)))\times 500$$

$$\mathbf{52299} := (-5+C(2)\times(-2+C(9)))\times 9$$
$$\mathbf{522990} := (-5+C(2)\times(-2+C(9)))\times 90$$
$$\mathbf{5229900} := (-5+C(2)\times(-2+C(9)))\times 900$$

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$$\mathbf{52416} := (C(5) - C(2)) \times C(4) \times (1 + 6)$$
$$\mathbf{524160} := (C(5) - C(2)) \times C(4) \times (10 + 60)$$
$$\mathbf{5241600} := (C(5) - C(2)) \times C(4) \times (100 + 600)$$

$$\mathbf{52437} := ((C(5) - C(2)) \times C(4) + 3) \times 7$$
$$\mathbf{524370} := ((C(5) - C(2)) \times C(4) + 3) \times 70$$
$$\mathbf{5243700} := ((C(5) - C(2)) \times C(4) + 3) \times 700$$

$$\mathbf{52479} := (5 + C(2) + 4) \times C(7) \times 9$$
$$\mathbf{524790} := (5 + C(2) + 4) \times C(7) \times 90$$
$$\mathbf{5247900} := (5 + C(2) + 4) \times C(7) \times 900$$

$$\mathbf{52528} := (5 + (-2 + 5)^{C(2)}) \times 8$$
$$\mathbf{525280} := (5 + (-2 + 5)^{C(2)}) \times 80$$
$$\mathbf{5252800} := (5 + (-2 + 5)^{C(2)}) \times 800$$

$$\mathbf{52656} := (C(5 \times 2) + 6^5) \times 6$$
$$\mathbf{526560} := (C(5 \times 2) + 6^5) \times 60$$
$$\mathbf{5265600} := (C(5 \times 2) + 6^5) \times 600$$

$$\mathbf{52713} := (-5 + C(27 - 1)) \times 3$$
$$\mathbf{527130} := (-5 + C(27 - 1)) \times 30$$
$$\mathbf{5271300} := (-5 + C(27 - 1)) \times 300$$

$$\mathbf{52743} := (5 + C(-2 + 7 \times 4)) \times 3$$
$$\mathbf{527430} := (5 + C(-2 + 7 \times 4)) \times 30$$
$$\mathbf{5274300} := (5 + C(-2 + 7 \times 4)) \times 300$$

$$\mathbf{53103} := (C(5) + C(C(3) - 1)) \times 03$$
$$\mathbf{531030} := (C(5) + C(C(3) - 1)) \times 030$$
$$\mathbf{5310300} := (C(5) + C(C(3) - 1)) \times 0300$$

$$\mathbf{53133} := (5 \times C(3) + C(-1 + C(3))) \times 3$$
$$\mathbf{531330} := (5 \times C(3) + C(-1 + C(3))) \times 30$$
$$\mathbf{5313300} := (5 \times C(3) + C(-1 + C(3))) \times 300$$

$$\mathbf{53195} := (C(-5 + C(3)) - 1 \times 9) \times 5$$
$$\mathbf{531950} := (C(-5 + C(3)) - 1 \times 9) \times 50$$
$$\mathbf{5319500} := (C(-5 + C(3)) - 1 \times 9) \times 500$$

$$\mathbf{53235} := (C(-5 + C(3)) + 2 - 3) \times 5$$
$$\mathbf{532350} := (C(-5 + C(3)) + 2 - 3) \times 50$$
$$\mathbf{5323500} := (C(-5 + C(3)) + 2 - 3) \times 500$$

$$\mathbf{53295} := (C(-5 + C(3)) + 2 + 9) \times 5$$
$$\mathbf{532950} := (C(-5 + C(3)) + 2 + 9) \times 50$$
$$\mathbf{5329500} := (C(-5 + C(3)) + 2 + 9) \times 500$$

$$\mathbf{53475} := (C(-5 + C(3)) + 47) \times 5$$
$$\mathbf{534750} := (C(-5 + C(3)) + 47) \times 50$$
$$\mathbf{5347500} := (C(-5 + C(3)) + 47) \times 500$$

$$\mathbf{53488} := (C(5) + 3^{C(4)/8}) \times 8$$
$$\mathbf{534880} := (C(5) + 3^{C(4)/8}) \times 80$$
$$\mathbf{5348800} := (C(5) + 3^{C(4)/8}) \times 800$$

$$\mathbf{53649} := (C(5) + C(3 \times 6) + 4) \times 9$$
$$\mathbf{536490} := (C(5) + C(3 \times 6) + 4) \times 90$$
$$\mathbf{5364900} := (C(5) + C(3 \times 6) + 4) \times 900$$

$$\mathbf{54189} := (C(5) + C(4) + C(18)) \times 9$$
$$\mathbf{541890} := (C(5) + C(4) + C(18)) \times 90$$
$$\mathbf{5418900} := (C(5) + C(4) + C(18)) \times 900$$

$$\mathbf{54665} := (5^4 + C(6)) \times 65$$
$$\mathbf{546650} := (5^4 + C(6)) \times 650$$
$$\mathbf{5466500} := (5^4 + C(6)) \times 6500$$

$$\mathbf{54675} := C(54/6) \times 75$$
$$\mathbf{546750} := C(54/6) \times 750$$
$$\mathbf{5467500} := C(54/6) \times 7500$$

$$\mathbf{54945} := (5 \times C(4 + 9) + 4) \times 5$$
$$\mathbf{549450} := (5 \times C(4 + 9) + 4) \times 50$$
$$\mathbf{5494500} := (5 \times C(4 + 9) + 4) \times 500$$

$$\mathbf{55245} := (5 \times C(5 + C(2)) + C(4)) \times 5$$
$$\mathbf{552450} := (5 \times C(5 + C(2)) + C(4)) \times 50$$
$$\mathbf{5524500} := (5 \times C(5 + C(2)) + C(4)) \times 500$$

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$$\mathbf{55566} := C(5+5+5+6)\times 6$$
$$\mathbf{555660} := C(5+5+5+6)\times 60$$
$$\mathbf{5556600} := C(5+5+5+6)\times 600$$

$$\mathbf{56175} := (C(5)\times 6-1)\times 75$$
$$\mathbf{561750} := (C(5)\times 6-1)\times 750$$
$$\mathbf{5617500} := (C(5)\times 6-1)\times 7500$$

$$\mathbf{56316} := (C(5)+C(-6+C(3)))\times 1\times 6$$
$$\mathbf{563160} := (C(5)+C(-6+C(3)))\times 1\times 60$$
$$\mathbf{5631600} := (C(5)+C(-6+C(3)))\times 1\times 600$$

$$\mathbf{56644} := (C(5)-6)^{6-4}\times 4$$
$$\mathbf{566440} := (C(5)-6)^{6-4}\times 40$$
$$\mathbf{5664400} := (C(5)-6)^{6-4}\times 400$$

$$\mathbf{56775} := (C(5)\times 6+7)\times 75$$
$$\mathbf{567750} := (C(5)\times 6+7)\times 750$$
$$\mathbf{5677500} := (C(5)\times 6+7)\times 7500$$

$$\mathbf{56835} := (C(5)-C(6)+C(8))\times C(3)\times 5$$
$$\mathbf{568350} := (C(5)-C(6)+C(8))\times C(3)\times 50$$
$$\mathbf{5683500} := (C(5)-C(6)+C(8))\times C(3)\times 500$$

$$\mathbf{56844} := (-C(5)+(C(6)+8)\times C(4))\times 4$$
$$\mathbf{568440} := (-C(5)+(C(6)+8)\times C(4))\times 40$$
$$\mathbf{5684400} := (-C(5)+(C(6)+8)\times C(4))\times 400$$

$$\mathbf{57168} := (C(5\times 7)+1)/6\times 8$$
$$\mathbf{571680} := (C(5\times 7)+1)/6\times 80$$
$$\mathbf{5716800} := (C(5\times 7)+1)/6\times 800$$

$$\mathbf{57844} := (C(5)+7\times C(8)\times 4)\times 4$$
$$\mathbf{578440} := (C(5)+7\times C(8)\times 4)\times 40$$
$$\mathbf{5784400} := (C(5)+7\times C(8)\times 4)\times 400$$

$$\mathbf{58344} := (-5+C(8+3))\times 44$$
$$\mathbf{583440} := (-5+C(8+3))\times 440$$
$$\mathbf{5834400} := (-5+C(8+3))\times 4400$$

$$\mathbf{58383} := (5+C(8)\times 38)\times 3$$
$$\mathbf{583830} := (5+C(8)\times 38)\times 30$$
$$\mathbf{5838300} := (5+C(8)\times 38)\times 300$$

$$\mathbf{58926} := (-5+C(8+9)\times 2)\times 6$$
$$\mathbf{589260} := (-5+C(8+9)\times 2)\times 60$$
$$\mathbf{5892600} := (-5+C(8+9)\times 2)\times 600$$

$$\mathbf{59332} := (-C(5)+C(93/3))\times 2$$
$$\mathbf{593320} := (-C(5)+C(93/3))\times 20$$
$$\mathbf{5933200} := (-C(5)+C(93/3))\times 200$$

$$\mathbf{59433} := (C(-5+9)+C(4)+C(C(3)))\times 3$$
$$\mathbf{594330} := (C(-5+9)+C(4)+C(C(3)))\times 30$$
$$\mathbf{5943300} := (C(-5+9)+C(4)+C(C(3)))\times 300$$

$$\mathbf{59564} := (-5-C(9)+5^6)\times 4$$
$$\mathbf{595640} := (-5-C(9)+5^6)\times 40$$
$$\mathbf{5956400} := (-5-C(9)+5^6)\times 400$$

$$\mathbf{59582} := C(-5+9+C(-5+8))\times 2$$
$$\mathbf{595820} := C(-5+9+C(-5+8))\times 20$$
$$\mathbf{5958200} := C(-5+9+C(-5+8))\times 200$$

$$\mathbf{59633} := (-C(-5+9)+C(6)+C(C(3)))\times 3$$
$$\mathbf{596330} := (-C(-5+9)+C(6)+C(C(3)))\times 30$$
$$\mathbf{5963300} := (-C(-5+9)+C(6)+C(C(3)))\times 300$$

$$\mathbf{60835} := C(-60+83)\times 5$$
$$\mathbf{608350} := C(-60+83)\times 50$$
$$\mathbf{6083500} := C(-60+83)\times 500$$

$$\mathbf{62304} := (C(6)+C(C(2))\times 30)\times 4$$
$$\mathbf{623040} := (C(6)+C(C(2))\times 30)\times 40$$
$$\mathbf{6230400} := (C(6)+C(C(2))\times 30)\times 400$$

$$\mathbf{62389} := (C(6)+C(C(2))-C(3))\times 89$$
$$\mathbf{623890} := (C(6)+C(C(2))-C(3))\times 890$$
$$\mathbf{6238900} := (C(6)+C(C(2))-C(3))\times 8900$$

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$$\mathbf{62391} := (6 \times C(C(2)) + C(39)) \times 1$$
$$\mathbf{623910} := (6 \times C(C(2)) + C(39)) \times 10$$
$$\mathbf{6239100} := (6 \times C(C(2)) + C(39)) \times 100$$

$$\mathbf{62985} := (6 \times 2 + C(9)) \times 85$$
$$\mathbf{629850} := (6 \times 2 + C(9)) \times 850$$
$$\mathbf{6298500} := (6 \times 2 + C(9)) \times 8500$$

$$\mathbf{63855} := (6 + C(3)) \times (C(8) - C(5)) \times 5$$
$$\mathbf{638550} := (6 + C(3)) \times (C(8) - C(5)) \times 50$$
$$\mathbf{6385500} := (6 + C(3)) \times (C(8) - C(5)) \times 500$$

$$\mathbf{64233} := (C(6) \times 4 \times 2 + C(C(3))) \times 3$$
$$\mathbf{642330} := (C(6) \times 4 \times 2 + C(C(3))) \times 30$$
$$\mathbf{6423300} := (C(6) \times 4 \times 2 + C(C(3))) \times 300$$

$$\mathbf{65728} := (C(6) + C(5 + 7 + C(2))) \times 8$$
$$\mathbf{657280} := (C(6) + C(5 + 7 + C(2))) \times 80$$
$$\mathbf{6572800} := (C(6) + C(5 + 7 + C(2))) \times 800$$

$$\mathbf{66096} := C(6) \times (60 - 9) \times 6$$
$$\mathbf{660960} := C(6) \times (60 - 9) \times 60$$
$$\mathbf{6609600} := C(6) \times (60 - 9) \times 600$$

$$\mathbf{66528} := C(6) \times (6 + 5) \times 28$$
$$\mathbf{665280} := C(6) \times (6 + 5) \times 280$$
$$\mathbf{6652800} := C(6) \times (6 + 5) \times 2800$$

$$\mathbf{67995} := (C(6) \times 7 \times 9 - 9) \times 5$$
$$\mathbf{679950} := (C(6) \times 7 \times 9 - 9) \times 50$$
$$\mathbf{6799500} := (C(6) \times 7 \times 9 - 9) \times 500$$

$$\mathbf{68315} := ((-6 + C(8)) \times C(3) + 1) \times 5$$
$$\mathbf{683150} := ((-6 + C(8)) \times C(3) + 1) \times 50$$
$$\mathbf{6831500} := ((-6 + C(8)) \times C(3) + 1) \times 500$$

$$\mathbf{68345} := (C(68) - C(3 + C(4))) \times 5$$
$$\mathbf{683450} := (C(68) - C(3 + C(4))) \times 50$$
$$\mathbf{6834500} := (C(68) - C(3 + C(4))) \times 500$$

$$\mathbf{68921} := C(6 \times 8 - 9 + 2) \times 1$$
$$\mathbf{689210} := C(6 \times 8 - 9 + 2) \times 10$$
$$\mathbf{6892100} := C(6 \times 8 - 9 + 2) \times 100$$

$$\mathbf{69115} := (C(C(6)/9) - 1) \times 1 \times 5$$
$$\mathbf{691150} := (C(C(6)/9) - 1) \times 1 \times 50$$
$$\mathbf{6911500} := (C(C(6)/9) - 1) \times 1 \times 500$$

$$\mathbf{69125} := (C(C(6)/9) + 1^2) \times 5$$
$$\mathbf{691250} := (C(C(6)/9) + 1^2) \times 50$$
$$\mathbf{6912500} := (C(C(6)/9) + 1^2) \times 500$$

$$\mathbf{69135} := (C(C(6)/9) \times 1 + 3) \times 5$$
$$\mathbf{691350} := (C(C(6)/9) \times 1 + 3) \times 50$$
$$\mathbf{6913500} := (C(C(6)/9) \times 1 + 3) \times 500$$

$$\mathbf{69145} := (C(C(6)/9) + 1 + 4) \times 5$$
$$\mathbf{691450} := (C(C(6)/9) + 1 + 4) \times 50$$
$$\mathbf{6914500} := (C(C(6)/9) + 1 + 4) \times 500$$

$$\mathbf{69216} := 6 \times (C(9) - C(2)) \times 16$$
$$\mathbf{692160} := 6 \times (C(9) - C(2)) \times 160$$
$$\mathbf{6921600} := 6 \times (C(9) - C(2)) \times 1600$$

$$\mathbf{69235} := (C(C(6)/9) + 23) \times 5$$
$$\mathbf{692350} := (C(C(6)/9) + 23) \times 50$$
$$\mathbf{6923500} := (C(C(6)/9) + 23) \times 500$$

$$\mathbf{69345} := (C(6) - 9) \times (3 + C(4)) \times 5$$
$$\mathbf{693450} := (C(6) - 9) \times (3 + C(4)) \times 50$$
$$\mathbf{6934500} := (C(6) - 9) \times (3 + C(4)) \times 500$$

$$\mathbf{69465} := (69 + C(4 \times 6)) \times 5$$
$$\mathbf{694650} := (69 + C(4 \times 6)) \times 50$$
$$\mathbf{6946500} := (69 + C(4 \times 6)) \times 500$$

$$\mathbf{69475} := (C(C(6)/9) + C(4) + 7) \times 5$$
$$\mathbf{694750} := (C(C(6)/9) + C(4) + 7) \times 50$$
$$\mathbf{6947500} := (C(C(6)/9) + C(4) + 7) \times 500$$

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$$\mathbf{69912} := (-6 + C(9+9)) \times 12$$
$$\mathbf{699120} := (-6 + C(9+9)) \times 120$$
$$\mathbf{6991200} := (-6 + C(9+9)) \times 1200$$

$$\mathbf{69984} := (C(6) \times ((9 \times 9) \times (8-4)))$$
$$\mathbf{699840} := C(6) \times 9 \times 9 \times (80-40)$$
$$\mathbf{6998400} := C(6) \times 9 \times 9 \times (800-400)$$

$$\mathbf{71344} := C(7) \times 13 \times 4 \times 4$$
$$\mathbf{713440} := C(7) \times 13 \times 4 \times 40$$
$$\mathbf{7134400} := C(7) \times 13 \times 4 \times 400$$

$$\mathbf{72966} := (C(7 \times 2 + 9) - 6) \times 6$$
$$\mathbf{729660} := (C(7 \times 2 + 9) - 6) \times 60$$
$$\mathbf{7296600} := (C(7 \times 2 + 9) - 6) \times 600$$

$$\mathbf{73608} := (C(7 \times 3) - 60) \times 8$$
$$\mathbf{736080} := (C(7 \times 3) - 60) \times 80$$
$$\mathbf{7360800} := (C(7 \times 3) - 60) \times 800$$

$$\mathbf{73928} := (C(-7 + C(3)) + C(9) + C(C(2))) \times 8$$
$$\mathbf{739280} := (C(-7 + C(3)) + C(9) + C(C(2))) \times 80$$
$$\mathbf{7392800} := (C(-7 + C(3)) + C(9) + C(C(2))) \times 800$$

$$\mathbf{73968} := (C(7 \times 3) - 9 - 6) \times 8$$
$$\mathbf{739680} := (C(7 \times 3) - 9 - 6) \times 80$$
$$\mathbf{7396800} := (C(7 \times 3) - 9 - 6) \times 800$$

$$\mathbf{73985} := (7 \times 3 \times C(9) - C(8)) \times 5$$
$$\mathbf{739850} := (7 \times 3 \times C(9) - C(8)) \times 50$$
$$\mathbf{7398500} := (7 \times 3 \times C(9) - C(8)) \times 500$$

$$\mathbf{74888} := (C(7) - 4 + C(8)) \times 88$$
$$\mathbf{748880} := (C(7) - 4 + C(8)) \times 880$$
$$\mathbf{7488800} := (C(7) - 4 + C(8)) \times 8800$$

$$\mathbf{75395} := (7^5 - C(3+9)) \times 5$$
$$\mathbf{753950} := (7^5 - C(3+9)) \times 50$$
$$\mathbf{7539500} := (7^5 - C(3+9)) \times 500$$

$$\mathbf{75565} := (-C(C(7-5)) + 5^6) \times 5$$
$$\mathbf{755650} := (-C(C(7-5)) + 5^6) \times 50$$
$$\mathbf{7556500} := (-C(C(7-5)) + 5^6) \times 500$$

$$\mathbf{75735} := (C(7) - C(5) + C(7)) \times C(3) \times 5$$
$$\mathbf{757350} := (C(7) - C(5) + C(7)) \times C(3) \times 50$$
$$\mathbf{7573500} := (C(7) - C(5) + C(7)) \times C(3) \times 500$$

$$\mathbf{75789} := 7 \times (5 \times C(7) - C(8)) \times 9$$
$$\mathbf{757890} := 7 \times (5 \times C(7) - C(8)) \times 90$$
$$\mathbf{7578900} := 7 \times (5 \times C(7) - C(8)) \times 900$$

$$\mathbf{76715} := (7 + C(6) \times 71) \times 5$$
$$\mathbf{767150} := (7 + C(6) \times 71) \times 50$$
$$\mathbf{7671500} := (7 + C(6) \times 71) \times 500$$

$$\mathbf{76824} := (7 \times C(6+8) - 2) \times 4$$
$$\mathbf{768240} := (7 \times C(6+8) - 2) \times 40$$
$$\mathbf{7682400} := (7 \times C(6+8) - 2) \times 400$$

$$\mathbf{77324} := (-C(7) - 7 + C(C(3)) - 2) \times 4$$
$$\mathbf{773240} := (-C(7) - 7 + C(C(3)) - 2) \times 40$$
$$\mathbf{7732400} := (-C(7) - 7 + C(C(3)) - 2) \times 400$$

$$\mathbf{77362} := (C(7+7) + C(C(3)+6)) \times 2$$
$$\mathbf{773620} := (C(7+7) + C(C(3)+6)) \times 20$$
$$\mathbf{7736200} := (C(7+7) + C(C(3)+6)) \times 200$$

$$\mathbf{77364} := (7 - C(7) + C(C(3)) - 6) \times 4$$
$$\mathbf{773640} := (7 - C(7) + C(C(3)) - 6) \times 40$$
$$\mathbf{7736400} := (7 - C(7) + C(C(3)) - 6) \times 400$$

$$\mathbf{77952} := (-7 + C(7)) \times (-9 + C(5)) \times 2$$
$$\mathbf{779520} := (-7 + C(7)) \times (-9 + C(5)) \times 20$$
$$\mathbf{7795200} := (-7 + C(7)) \times (-9 + C(5)) \times 200$$

$$\mathbf{78125} := C(7 + (8+1) \times 2) \times 5$$
$$\mathbf{781250} := C(7 + (8+1) \times 2) \times 50$$
$$\mathbf{7812500} := C(7 + (8+1) \times 2) \times 500$$

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$$\mathbf{79216} := (C(7) + 9 \times C(C(2))) \times 16$$
$$\mathbf{792160} := (C(7) + 9 \times C(C(2))) \times 160$$
$$\mathbf{7921600} := (C(7) + 9 \times C(C(2))) \times 1600$$

$$\mathbf{79233} := C(7) \times (9 - 2) \times 33$$
$$\mathbf{792330} := C(7) \times (9 - 2) \times 330$$
$$\mathbf{7923300} := C(7) \times (9 - 2) \times 3300$$

$$\mathbf{79244} := (C(7) + C(9) \times 2) \times 44$$
$$\mathbf{792440} := (C(7) + C(9) \times 2) \times 440$$
$$\mathbf{7924400} := (C(7) + C(9) \times 2) \times 4400$$

$$\mathbf{79524} := (7 + 9 + C(5))^2 \times 4$$
$$\mathbf{795240} := (7 + 9 + C(5))^2 \times 40$$
$$\mathbf{7952400} := (7 + 9 + C(5))^2 \times 400$$

$$\mathbf{82755} := (-C(8)/2 + 7^5) \times 5$$
$$\mathbf{827550} := (-C(8)/2 + 7^5) \times 50$$
$$\mathbf{8275500} := (-C(8)/2 + 7^5) \times 500$$

$$\mathbf{82896} := (-8 + C(C(-2 + 8)/9)) \times 6$$
$$\mathbf{828960} := (-8 + C(C(-2 + 8)/9)) \times 60$$
$$\mathbf{8289600} := (-8 + C(C(-2 + 8)/9)) \times 600$$

$$\mathbf{83346} := (C(8 \times 3) + 3 + C(4)) \times 6$$
$$\mathbf{833460} := (C(8 \times 3) + 3 + C(4)) \times 60$$
$$\mathbf{8334600} := (C(8 \times 3) + 3 + C(4)) \times 600$$

$$\mathbf{83349} := C(8 + 3 \times 3 + 4) \times 9$$
$$\mathbf{833490} := C(8 + 3 \times 3 + 4) \times 90$$
$$\mathbf{8334900} := C(8 + 3 \times 3 + 4) \times 900$$

$$\mathbf{83373} := (8 + 3 \times C(3 \times 7)) \times 3$$
$$\mathbf{833730} := (8 + 3 \times C(3 \times 7)) \times 30$$
$$\mathbf{8337300} := (8 + 3 \times C(3 \times 7)) \times 300$$

$$\mathbf{85742} := (-8 + C(5 \times 7) + 4) \times 2$$
$$\mathbf{857420} := (-8 + C(5 \times 7) + 4) \times 20$$
$$\mathbf{8574200} := (-8 + C(5 \times 7) + 4) \times 200$$

$$\mathbf{85782} := (8 + C(5 \times 7) + 8) \times 2$$
$$\mathbf{857820} := (8 + C(5 \times 7) + 8) \times 20$$
$$\mathbf{8578200} := (8 + C(5 \times 7) + 8) \times 200$$

$$\mathbf{89373} := C(8 \times 9/3 + 7) \times 3$$
$$\mathbf{893730} := C(8 \times 9/3 + 7) \times 30$$
$$\mathbf{8937300} := C(8 \times 9/3 + 7) \times 300$$

$$\mathbf{91525} := (C(9) + C(1 + 5^2)) \times 5$$
$$\mathbf{915250} := (C(9) + C(1 + 5^2)) \times 50$$
$$\mathbf{9152500} := (C(9) + C(1 + 5^2)) \times 500$$

$$\mathbf{92125} := (C(9) + C(2)) \times 125$$
$$\mathbf{921250} := (C(9) + C(2)) \times 1250$$
$$\mathbf{9212500} := (C(9) + C(2)) \times 12500$$

$$\mathbf{92288} := (C(9) - C(2)) \times 2 \times 8 \times 8$$
$$\mathbf{922880} := (C(9) - C(2)) \times 2 \times 8 \times 80$$
$$\mathbf{9228800} := (C(9) - C(2)) \times 2 \times 8 \times 800$$

$$\mathbf{92475} := 9 \times (C(C(2)) \times 4 + 7) \times 5$$
$$\mathbf{924750} := 9 \times (C(C(2)) \times 4 + 7) \times 50$$
$$\mathbf{9247500} := 9 \times (C(C(2)) \times 4 + 7) \times 500$$

$$\mathbf{93322} := (C(9 + C(3)) + 3 + 2) \times 2$$
$$\mathbf{933220} := (C(9 + C(3)) + 3 + 2) \times 20$$
$$\mathbf{9332200} := (C(9 + C(3)) + 3 + 2) \times 200$$

$$\mathbf{93382} := (C(9 + C(3)) + C(3) + 8) \times 2$$
$$\mathbf{933820} := (C(9 + C(3)) + C(3) + 8) \times 20$$
$$\mathbf{9338200} := (C(9 + C(3)) + C(3) + 8) \times 200$$

$$\mathbf{93552} := (C(9 + C(3)) - 5 + C(5)) \times 2$$
$$\mathbf{935520} := (C(9 + C(3)) - 5 + C(5)) \times 20$$
$$\mathbf{9355200} := (C(9 + C(3)) - 5 + C(5)) \times 200$$

$$\mathbf{94968} := (-9 + (C(4) - 9) \times C(6)) \times 8$$
$$\mathbf{949680} := (-9 + (C(4) - 9) \times C(6)) \times 80$$
$$\mathbf{9496800} := (-9 + (C(4) - 9) \times C(6)) \times 800$$

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$$\mathbf{95395} := (-C(9) + C(5) + 3^9) \times 5$$
$$\mathbf{953950} := (-C(9) + C(5) + 3^9) \times 50$$
$$\mathbf{9539500} := (-C(9) + C(5) + 3^9) \times 500$$

$$\mathbf{96957} := C(9) \times (C(6)/9 - 5) \times 7$$
$$\mathbf{969570} := C(9) \times (C(6)/9 - 5) \times 70$$
$$\mathbf{9695700} := C(9) \times (C(6)/9 - 5) \times 700$$

$$\mathbf{97335} := ((C(9) - 7) \times C(3) - C(3)) \times 5$$
$$\mathbf{973350} := ((C(9) - 7) \times C(3) - C(3)) \times 50$$
$$\mathbf{9733500} := ((C(9) - 7) \times C(3) - C(3)) \times 500$$

$$\mathbf{97524} := 9 \times 7 \times (-C(5) + C(C(2))) \times 4$$
$$\mathbf{975240} := 9 \times 7 \times (-C(5) + C(C(2))) \times 40$$
$$\mathbf{9752400} := 9 \times 7 \times (-C(5) + C(C(2))) \times 400$$

$$\mathbf{98235} := (-9 \times 8/2 + C(C(3))) \times 5$$
$$\mathbf{982350} := (-9 \times 8/2 + C(C(3))) \times 50$$
$$\mathbf{9823500} := (-9 \times 8/2 + C(C(3))) \times 500$$

$$\mathbf{98253} := (-9 - 8 + C(2^5)) \times 3$$
$$\mathbf{982530} := (-9 - 8 + C(2^5)) \times 30$$
$$\mathbf{9825300} := (-9 - 8 + C(2^5)) \times 300$$

$$\mathbf{98355} := (-9 - 8 + C(C(3)) + 5) \times 5$$
$$\mathbf{983550} := (-9 - 8 + C(C(3)) + 5) \times 50$$
$$\mathbf{9835500} := (-9 - 8 + C(C(3)) + 5) \times 500$$

$$\mathbf{98375} := (-9 + 8 + C(C(3)) - 7) \times 5$$
$$\mathbf{983750} := (-9 + 8 + C(C(3)) - 7) \times 50$$
$$\mathbf{9837500} := (-9 + 8 + C(C(3)) - 7) \times 500$$

$$\mathbf{98384} := (C(9 + 8) + C(C(3))) \times (8 - 4)$$
$$\mathbf{983840} := (C(9 + 8) + C(C(3))) \times (80 - 40)$$
$$\mathbf{9838400} := (C(9 + 8) + C(C(3))) \times (800 - 400)$$

$$\mathbf{98425} := (C(C(-9 + 8 + 4)) + 2) \times 5$$
$$\mathbf{984250} := (C(C(-9 + 8 + 4)) + 2) \times 50$$
$$\mathbf{9842500} := (C(C(-9 + 8 + 4)) + 2) \times 500$$

$$\mathbf{98435} := ((9 - 8) \times 4 + C(C(3))) \times 5$$
$$\mathbf{984350} := ((9 - 8) \times 4 + C(C(3))) \times 50$$
$$\mathbf{9843500} := ((9 - 8) \times 4 + C(C(3))) \times 500$$

$$\mathbf{98545} := (9 \times C(8 + 5) - C(4)) \times 5$$
$$\mathbf{985450} := (9 \times C(8 + 5) - C(4)) \times 50$$
$$\mathbf{9854500} := (9 \times C(8 + 5) - C(4)) \times 500$$

$$\mathbf{98784} := 9 \times 8 \times C(7) \times (8 - 4)$$
$$\mathbf{987840} := 9 \times 8 \times C(7) \times (80 - 40)$$
$$\mathbf{9878400} := 9 \times 8 \times C(7) \times (800 - 400)$$

$$\mathbf{99535} := (99 + C(5) + C(C(3))) \times 5$$
$$\mathbf{995350} := (99 + C(5) + C(C(3))) \times 50$$
$$\mathbf{9953500} := (99 + C(5) + C(C(3))) \times 500$$

3 Cubic-Type Selfie Numbers: Reverse Order of Digits

This section brings **cubic-type selfie numbers** in reverse order of digits up to 5-digits numbers. It is divided in three subsection. The first one give consecutive and symmetric blocks of 10. The second subsection brings symmetric and noncosecutive blocks, and the third subsection give the general values.

3.1 Symmetric and Consecutive

$$\mathbf{250} := 0 + C(5) \times 2$$
$$\mathbf{251} := 1 + C(5) \times 2$$
$$\mathbf{252} := 2 + C(5) \times 2$$
$$\mathbf{253} := 3 + C(5) \times 2$$
$$\mathbf{254} := 4 + C(5) \times 2$$
$$\mathbf{255} := 5 + C(5) \times 2$$

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$\mathbf{256} := 6 + C(5) \times 2$
$\mathbf{257} := 7 + C(5) \times 2$
$\mathbf{258} := 8 + C(5) \times 2$
$\mathbf{259} := 9 + C(5) \times 2$

$\mathbf{370} := 0 + C(7) + C(3)$
$\mathbf{371} := 1 + C(7) + C(3)$
$\mathbf{372} := 2 + C(7) + C(3)$
$\mathbf{373} := 3 + C(7) + C(3)$
$\mathbf{374} := 4 + C(7) + C(3)$
$\mathbf{375} := 5 + C(7) + C(3)$
$\mathbf{376} := 6 + C(7) + C(3)$
$\mathbf{377} := 7 + C(7) + C(3)$
$\mathbf{378} := 8 + C(7) + C(3)$
$\mathbf{379} := 9 + C(7) + C(3)$

$\mathbf{2240} := 0 + C(4 + C(2)) + C(C(2))$
$\mathbf{2241} := 1 + C(4 + C(2)) + C(C(2))$
$\mathbf{2242} := 2 + C(4 + C(2)) + C(C(2))$
$\mathbf{2243} := 3 + C(4 + C(2)) + C(C(2))$
$\mathbf{2244} := 4 + C(4 + C(2)) + C(C(2))$
$\mathbf{2245} := 5 + C(4 + C(2)) + C(C(2))$
$\mathbf{2246} := 6 + C(4 + C(2)) + C(C(2))$
$\mathbf{2247} := 7 + C(4 + C(2)) + C(C(2))$
$\mathbf{2248} := 8 + C(4 + C(2)) + C(C(2))$
$\mathbf{2249} := 9 + C(4 + C(2)) + C(C(2))$

$\mathbf{2740} := 0 - 4 + C(7 \times 2)$
$\mathbf{2741} := 1 - 4 + C(7 \times 2)$
$\mathbf{2742} := 2 - 4 + C(7 \times 2)$
$\mathbf{2743} := 3 - 4 + C(7 \times 2)$
$\mathbf{2744} := 4 - 4 + C(7 \times 2)$
$\mathbf{2745} := 5 - 4 + C(7 \times 2)$
$\mathbf{2746} := 6 - 4 + C(7 \times 2)$
$\mathbf{2747} := 7 - 4 + C(7 \times 2)$
$\mathbf{2748} := 8 - 4 + C(7 \times 2)$
$\mathbf{2749} := 9 - 4 + C(7 \times 2)$

$\mathbf{3880} := 0 + 8 \times (C(8) - C(3))$
$\mathbf{3881} := 1 + 8 \times (C(8) - C(3))$
$\mathbf{3882} := 2 + 8 \times (C(8) - C(3))$
$\mathbf{3883} := 3 + 8 \times (C(8) - C(3))$
$\mathbf{3884} := 4 + 8 \times (C(8) - C(3))$
$\mathbf{3885} := 5 + 8 \times (C(8) - C(3))$
$\mathbf{3886} := 6 + 8 \times (C(8) - C(3))$
$\mathbf{3887} := 7 + 8 \times (C(8) - C(3))$
$\mathbf{3888} := 8 + 8 \times (C(8) - C(3))$
$\mathbf{3889} := 9 + 8 \times (C(8) - C(3))$

$\mathbf{7560} := 0 + C(6) \times 5 \times 7$
$\mathbf{7561} := 1 + C(6) \times 5 \times 7$
$\mathbf{7562} := 2 + C(6) \times 5 \times 7$
$\mathbf{7563} := 3 + C(6) \times 5 \times 7$
$\mathbf{7564} := 4 + C(6) \times 5 \times 7$
$\mathbf{7565} := 5 + C(6) \times 5 \times 7$
$\mathbf{7566} := 6 + C(6) \times 5 \times 7$
$\mathbf{7567} := 7 + C(6) \times 5 \times 7$
$\mathbf{7568} := 8 + C(6) \times 5 \times 7$
$\mathbf{7569} := 9 + C(6) \times 5 \times 7$

$\mathbf{01000} := 0 + C(0010)$
$\mathbf{01001} := 1 + C(0010)$
$\mathbf{01002} := 2 + C(0010)$
$\mathbf{01003} := 3 + C(0010)$
$\mathbf{01004} := 4 + C(0010)$
$\mathbf{01005} := 5 + C(0010)$
$\mathbf{01006} := 6 + C(0010)$
$\mathbf{01007} := 7 + C(0010)$
$\mathbf{01008} := 8 + C(0010)$
$\mathbf{01009} := 9 + C(0010)$

$\mathbf{01020} := 0 + 20 + C(10)$
$\mathbf{01021} := 1 + 20 + C(10)$
$\mathbf{01022} := 2 + 20 + C(10)$
$\mathbf{01023} := 3 + 20 + C(10)$
$\mathbf{01024} := 4 + 20 + C(10)$
$\mathbf{01025} := 5 + 20 + C(10)$
$\mathbf{01026} := 6 + 20 + C(10)$
$\mathbf{01027} := 7 + 20 + C(10)$
$\mathbf{01028} := 8 + 20 + C(10)$
$\mathbf{01029} := 9 + 20 + C(10)$

$\mathbf{01031} := 1 + 30 + C(10)$

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$$\mathbf{01032} := 2 + 30 + C(10)$$
$$\mathbf{01033} := 3 + 30 + C(10)$$
$$\mathbf{01034} := 4 + 30 + C(10)$$
$$\mathbf{01035} := 5 + 30 + C(10)$$
$$\mathbf{01036} := 6 + 30 + C(10)$$
$$\mathbf{01037} := 7 + 30 + C(10)$$
$$\mathbf{01038} := 8 + 30 + C(10)$$
$$\mathbf{01039} := 9 + 30 + C(10)$$

$$\mathbf{01041} := 1 + 40 + C(10)$$
$$\mathbf{01042} := 2 + 40 + C(10)$$
$$\mathbf{01043} := 3 + 40 + C(10)$$
$$\mathbf{01044} := 4 + 40 + C(10)$$
$$\mathbf{01045} := 5 + 40 + C(10)$$
$$\mathbf{01046} := 6 + 40 + C(10)$$
$$\mathbf{01047} := 7 + 40 + C(10)$$
$$\mathbf{01048} := 8 + 40 + C(10)$$
$$\mathbf{01049} := 9 + 40 + C(10)$$

$$\mathbf{01051} := 1 + 50 + C(10)$$
$$\mathbf{01052} := 2 + 50 + C(10)$$
$$\mathbf{01053} := 3 + 50 + C(10)$$
$$\mathbf{01054} := 4 + 50 + C(10)$$
$$\mathbf{01055} := 5 + 50 + C(10)$$
$$\mathbf{01056} := 6 + 50 + C(10)$$
$$\mathbf{01057} := 7 + 50 + C(10)$$
$$\mathbf{01058} := 8 + 50 + C(10)$$
$$\mathbf{01059} := 9 + 50 + C(10)$$

$$\mathbf{01061} := 1 + 60 + C(10)$$
$$\mathbf{01062} := 2 + 60 + C(10)$$
$$\mathbf{01063} := 3 + 60 + C(10)$$
$$\mathbf{01064} := 4 + 60 + C(10)$$
$$\mathbf{01065} := 5 + 60 + C(10)$$
$$\mathbf{01066} := 6 + 60 + C(10)$$
$$\mathbf{01067} := 7 + 60 + C(10)$$
$$\mathbf{01068} := 8 + 60 + C(10)$$
$$\mathbf{01069} := 9 + 60 + C(10)$$

$$\mathbf{01071} := 1 + 70 + C(10)$$
$$\mathbf{01072} := 2 + 70 + C(10)$$
$$\mathbf{01073} := 3 + 70 + C(10)$$
$$\mathbf{01074} := 4 + 70 + C(10)$$
$$\mathbf{01075} := 5 + 70 + C(10)$$
$$\mathbf{01076} := 6 + 70 + C(10)$$
$$\mathbf{01077} := 7 + 70 + C(10)$$
$$\mathbf{01078} := 8 + 70 + C(10)$$
$$\mathbf{01079} := 9 + 70 + C(10)$$

$$\mathbf{01081} := 1 + 80 + C(10)$$
$$\mathbf{01082} := 2 + 80 + C(10)$$
$$\mathbf{01083} := 3 + 80 + C(10)$$
$$\mathbf{01084} := 4 + 80 + C(10)$$
$$\mathbf{01085} := 5 + 80 + C(10)$$
$$\mathbf{01086} := 6 + 80 + C(10)$$
$$\mathbf{01087} := 7 + 80 + C(10)$$
$$\mathbf{01088} := 8 + 80 + C(10)$$
$$\mathbf{01089} := 9 + 80 + C(10)$$

$$\mathbf{01091} := 1 + 90 + C(10)$$
$$\mathbf{01092} := 2 + 90 + C(10)$$
$$\mathbf{01093} := 3 + 90 + C(10)$$
$$\mathbf{01094} := 4 + 90 + C(10)$$
$$\mathbf{01095} := 5 + 90 + C(10)$$
$$\mathbf{01096} := 6 + 90 + C(10)$$
$$\mathbf{01097} := 7 + 90 + C(10)$$
$$\mathbf{01098} := 8 + 90 + C(10)$$
$$\mathbf{01099} := 9 + 90 + C(10)$$

$$\mathbf{01250} := 0 + C(5) \times 2 + C(10)$$
$$\mathbf{01251} := 1 + C(5) \times 2 + C(10)$$
$$\mathbf{01252} := 2 + C(5) \times 2 + C(10)$$
$$\mathbf{01253} := 3 + C(5) \times 2 + C(10)$$
$$\mathbf{01254} := 4 + C(5) \times 2 + C(10)$$
$$\mathbf{01255} := 5 + C(5) \times 2 + C(10)$$
$$\mathbf{01256} := 6 + C(5) \times 2 + C(10)$$
$$\mathbf{01257} := 7 + C(5) \times 2 + C(10)$$
$$\mathbf{01258} := 8 + C(5) \times 2 + C(10)$$
$$\mathbf{01259} := 9 + C(5) \times 2 + C(10)$$

$$\mathbf{01350} := (0 - ((5 \times C(3)) \times (-10)))$$
$$\mathbf{01351} := (1 - ((5 \times C(3)) \times (-10)))$$
$$\mathbf{01352} := (2 - ((5 \times C(3)) \times (-10)))$$

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$$\mathbf{01354} := (4-((5\times C(3))\times(-10)))$$
$$\mathbf{01355} := (5-((5\times C(3))\times(-10)))$$
$$\mathbf{01356} := (6-((5\times C(3))\times(-10)))$$
$$\mathbf{01357} := (7-((5\times C(3))\times(-10)))$$
$$\mathbf{01358} := (8-((5\times C(3))\times(-10)))$$
$$\mathbf{01359} := (9-((5\times C(3))\times(-10)))$$

$$\mathbf{01370} := 0+C(7)+C(3)+C(10)$$
$$\mathbf{01371} := 1+C(7)+C(3)+C(10)$$
$$\mathbf{01372} := 2+C(7)+C(3)+C(10)$$
$$\mathbf{01373} := 3+C(7)+C(3)+C(10)$$
$$\mathbf{01374} := 4+C(7)+C(3)+C(10)$$
$$\mathbf{01375} := 5+C(7)+C(3)+C(10)$$
$$\mathbf{01376} := 6+C(7)+C(3)+C(10)$$
$$\mathbf{01377} := 7+C(7)+C(3)+C(10)$$
$$\mathbf{01378} := 8+C(7)+C(3)+C(10)$$
$$\mathbf{01379} := 9+C(7)+C(3)+C(10)$$

$$\mathbf{02250} := 0+C(5)\times(-2+20)$$
$$\mathbf{02251} := 1+C(5)\times(-2+20)$$
$$\mathbf{02252} := 2+C(5)\times(-2+20)$$
$$\mathbf{02253} := 3+C(5)\times(-2+20)$$
$$\mathbf{02254} := 4+C(5)\times(-2+20)$$
$$\mathbf{02255} := 5+C(5)\times(-2+20)$$
$$\mathbf{02256} := 6+C(5)\times(-2+20)$$
$$\mathbf{02257} := 7+C(5)\times(-2+20)$$
$$\mathbf{02258} := 8+C(5)\times(-2+20)$$
$$\mathbf{02259} := 9+C(5)\times(-2+20)$$

$$\mathbf{02500} := 0+C(05)\times 20$$
$$\mathbf{02501} := 1+C(05)\times 20$$
$$\mathbf{02502} := 2+C(05)\times 20$$
$$\mathbf{02503} := 3+C(05)\times 20$$
$$\mathbf{02504} := 4+C(05)\times 20$$
$$\mathbf{02505} := 5+C(05)\times 20$$
$$\mathbf{02506} := 6+C(05)\times 20$$
$$\mathbf{02507} := 7+C(05)\times 20$$
$$\mathbf{02508} := 8+C(05)\times 20$$
$$\mathbf{02509} := 9+C(05)\times 20$$

$$\mathbf{02580} := 0+C(8)\times 5+20$$
$$\mathbf{02581} := 1+C(8)\times 5+20$$
$$\mathbf{02582} := 2+C(8)\times 5+20$$
$$\mathbf{02583} := 3+C(8)\times 5+20$$
$$\mathbf{02584} := 4+C(8)\times 5+20$$
$$\mathbf{02585} := 5+C(8)\times 5+20$$
$$\mathbf{02586} := 6+C(8)\times 5+20$$
$$\mathbf{02588} := 8+C(8)\times 5+20$$
$$\mathbf{02589} := 9+C(8)\times 5+20$$
$$\mathbf{02597} := 7+C(8)\times 5+20$$

$$\mathbf{13480} := 0-8^4+C(C(3)-1)$$
$$\mathbf{13481} := 1-8^4+C(C(3)-1)$$
$$\mathbf{13482} := 2-8^4+C(C(3)-1)$$
$$\mathbf{13483} := 3-8^4+C(C(3)-1)$$
$$\mathbf{13484} := 4-8^4+C(C(3)-1)$$
$$\mathbf{13485} := 5-8^4+C(C(3)-1)$$
$$\mathbf{13486} := 6-8^4+C(C(3)-1)$$
$$\mathbf{13487} := 7-8^4+C(C(3)-1)$$
$$\mathbf{13488} := 8-8^4+C(C(3)-1)$$
$$\mathbf{13489} := 9-8^4+C(C(3)-1)$$

$$\mathbf{14750} := 0+(C(5)-7)\times C(4+1)$$
$$\mathbf{14751} := 1+(C(5)-7)\times C(4+1)$$
$$\mathbf{14752} := 2+(C(5)-7)\times C(4+1)$$
$$\mathbf{14753} := 3+(C(5)-7)\times C(4+1)$$
$$\mathbf{14754} := 4+(C(5)-7)\times C(4+1)$$
$$\mathbf{14755} := 5+(C(5)-7)\times C(4+1)$$
$$\mathbf{14756} := 6+(C(5)-7)\times C(4+1)$$
$$\mathbf{14757} := 7+(C(5)-7)\times C(4+1)$$
$$\mathbf{14758} := 8+(C(5)-7)\times C(4+1)$$
$$\mathbf{14759} := 9+(C(5)-7)\times C(4+1)$$

$$\mathbf{15250} := 0+C(5)\times(-2+C(5)-1)$$
$$\mathbf{15251} := 1+C(5)\times(-2+C(5)-1)$$
$$\mathbf{15252} := 2+C(5)\times(-2+C(5)-1)$$
$$\mathbf{15253} := 3+C(5)\times(-2+C(5)-1)$$
$$\mathbf{15254} := 4+C(5)\times(-2+C(5)-1)$$
$$\mathbf{15255} := 5+C(5)\times(-2+C(5)-1)$$
$$\mathbf{15256} := 6+C(5)\times(-2+C(5)-1)$$

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http://doi.org/10.5281/zenodo.2591257

$\mathbf{15257} := 7 + C(5) \times (-2 + C(5) - 1)$
$\mathbf{15258} := 8 + C(5) \times (-2 + C(5) - 1)$
$\mathbf{15259} := 9 + C(5) \times (-2 + C(5) - 1)$

$\mathbf{15500} := 0 + C(05) \times (C(5) - 1)$
$\mathbf{15501} := 1 + C(05) \times (C(5) - 1)$
$\mathbf{15502} := 2 + C(05) \times (C(5) - 1)$
$\mathbf{15503} := 3 + C(05) \times (C(5) - 1)$
$\mathbf{15504} := 4 + C(05) \times (C(5) - 1)$
$\mathbf{15505} := 5 + C(05) \times (C(5) - 1)$
$\mathbf{15506} := 6 + C(05) \times (C(5) - 1)$
$\mathbf{15507} := 7 + C(05) \times (C(5) - 1)$
$\mathbf{15508} := 8 + C(05) \times (C(5) - 1)$
$\mathbf{15509} := 9 + C(05) \times (C(5) - 1)$

$\mathbf{19630} := 0 + C(C(3)) - 6 \times 9 + 1$
$\mathbf{19631} := 1 + C(C(3)) - 6 \times 9 + 1$
$\mathbf{19632} := 2 + C(C(3)) - 6 \times 9 + 1$
$\mathbf{19633} := 3 + C(C(3)) - 6 \times 9 + 1$
$\mathbf{19634} := 4 + C(C(3)) - 6 \times 9 + 1$
$\mathbf{19635} := 5 + C(C(3)) - 6 \times 9 + 1$
$\mathbf{19636} := 6 + C(C(3)) - 6 \times 9 + 1$
$\mathbf{19637} := 7 + C(C(3)) - 6 \times 9 + 1$
$\mathbf{19638} := 8 + C(C(3)) - 6 \times 9 + 1$
$\mathbf{19639} := 9 + C(C(3)) - 6 \times 9 + 1$

$\mathbf{21960} := 0 + C(C(-6 + 9) + 1) + C(2)$
$\mathbf{21961} := 1 + C(C(-6 + 9) + 1) + C(2)$
$\mathbf{21962} := 2 + C(C(-6 + 9) + 1) + C(2)$
$\mathbf{21963} := 3 + C(C(-6 + 9) + 1) + C(2)$
$\mathbf{21964} := 4 + C(C(-6 + 9) + 1) + C(2)$
$\mathbf{21965} := 5 + C(C(-6 + 9) + 1) + C(2)$
$\mathbf{21966} := 6 + C(C(-6 + 9) + 1) + C(2)$
$\mathbf{21967} := 7 + C(C(-6 + 9) + 1) + C(2)$
$\mathbf{21968} := 8 + C(C(-6 + 9) + 1) + C(2)$
$\mathbf{21969} := 9 + C(C(-6 + 9) + 1) + C(2)$

$\mathbf{22440} := 0 + 44 \times (-2 + C(C(2)))$
$\mathbf{22441} := 1 + 44 \times (-2 + C(C(2)))$
$\mathbf{22442} := 2 + 44 \times (-2 + C(C(2)))$
$\mathbf{22443} := 3 + 44 \times (-2 + C(C(2)))$
$\mathbf{22444} := 4 + 44 \times (-2 + C(C(2)))$
$\mathbf{22445} := 5 + 44 \times (-2 + C(C(2)))$
$\mathbf{22446} := 6 + 44 \times (-2 + C(C(2)))$
$\mathbf{22447} := 7 + 44 \times (-2 + C(C(2)))$
$\mathbf{22448} := 8 + 44 \times (-2 + C(C(2)))$
$\mathbf{22449} := 9 + 44 \times (-2 + C(C(2)))$

$\mathbf{22950} := 0 + 5 \times 9 \times (-2 + C(C(2)))$
$\mathbf{22951} := 1 + 5 \times 9 \times (-2 + C(C(2)))$
$\mathbf{22952} := 2 + 5 \times 9 \times (-2 + C(C(2)))$
$\mathbf{22953} := 3 + 5 \times 9 \times (-2 + C(C(2)))$
$\mathbf{22954} := 4 + 5 \times 9 \times (-2 + C(C(2)))$
$\mathbf{22955} := 5 + 5 \times 9 \times (-2 + C(C(2)))$
$\mathbf{22956} := 6 + 5 \times 9 \times (-2 + C(C(2)))$
$\mathbf{22957} := 7 + 5 \times 9 \times (-2 + C(C(2)))$
$\mathbf{22958} := 8 + 5 \times 9 \times (-2 + C(C(2)))$
$\mathbf{22959} := 9 + 5 \times 9 \times (-2 + C(C(2)))$

$\mathbf{23870} := 0 - 7 - C(8) + C(C(3) + 2)$
$\mathbf{23871} := 1 - 7 - C(8) + C(C(3) + 2)$
$\mathbf{23872} := 2 - 7 - C(8) + C(C(3) + 2)$
$\mathbf{23873} := 3 - 7 - C(8) + C(C(3) + 2)$
$\mathbf{23874} := 4 - 7 - C(8) + C(C(3) + 2)$
$\mathbf{23875} := 5 - 7 - C(8) + C(C(3) + 2)$
$\mathbf{23876} := 6 - 7 - C(8) + C(C(3) + 2)$
$\mathbf{23877} := 7 - 7 - C(8) + C(C(3) + 2)$
$\mathbf{23878} := 8 - 7 - C(8) + C(C(3) + 2)$
$\mathbf{23879} := 9 - 7 - C(8) + C(C(3) + 2)$

$\mathbf{24640} := 0 + C(4) + 6 \times C(4^2)$
$\mathbf{24641} := 1 + C(4) + 6 \times C(4^2)$
$\mathbf{24642} := 2 + C(4) + 6 \times C(4^2)$
$\mathbf{24643} := 3 + C(4) + 6 \times C(4^2)$
$\mathbf{24644} := 4 + C(4) + 6 \times C(4^2)$
$\mathbf{24645} := 5 + C(4) + 6 \times C(4^2)$
$\mathbf{24646} := 6 + C(4) + 6 \times C(4^2)$
$\mathbf{24647} := 7 + C(4) + 6 \times C(4^2)$
$\mathbf{24648} := 8 + C(4) + 6 \times C(4^2)$
$\mathbf{24649} := 9 + C(4) + 6 \times C(4^2)$

$\mathbf{24840} := 0 - C(C(4)) - C(8) + C(C(4) + 2)$

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$$\mathbf{24841} := 1 - C(C(4)) - C(8) + C(C(4)+2)$$
$$\mathbf{24842} := 2 - C(C(4)) - C(8) + C(C(4)+2)$$
$$\mathbf{24843} := 3 - C(C(4)) - C(8) + C(C(4)+2)$$
$$\mathbf{24844} := 4 - C(C(4)) - C(8) + C(C(4)+2)$$
$$\mathbf{24845} := 5 - C(C(4)) - C(8) + C(C(4)+2)$$
$$\mathbf{24846} := 6 - C(C(4)) - C(8) + C(C(4)+2)$$
$$\mathbf{24847} := 7 - C(C(4)) - C(8) + C(C(4)+2)$$
$$\mathbf{24848} := 8 - C(C(4)) - C(8) + C(C(4)+2)$$
$$\mathbf{24849} := 9 - C(C(4)) - C(8) + C(C(4)+2)$$

$$\mathbf{26250} := 0 + C(5) \times (2 + C(6) - C(2))$$
$$\mathbf{26251} := 1 + C(5) \times (2 + C(6) - C(2))$$
$$\mathbf{26252} := 2 + C(5) \times (2 + C(6) - C(2))$$
$$\mathbf{26253} := 3 + C(5) \times (2 + C(6) - C(2))$$
$$\mathbf{26254} := 4 + C(5) \times (2 + C(6) - C(2))$$
$$\mathbf{26255} := 5 + C(5) \times (2 + C(6) - C(2))$$
$$\mathbf{26256} := 6 + C(5) \times (2 + C(6) - C(2))$$
$$\mathbf{26257} := 7 + C(5) \times (2 + C(6) - C(2))$$
$$\mathbf{26258} := 8 + C(5) \times (2 + C(6) - C(2))$$
$$\mathbf{26259} := 9 + C(5) \times (2 + C(6) - C(2))$$

$$\mathbf{26350} := 0 + (C(5) - 3) \times C(6) - 2$$
$$\mathbf{26351} := 1 + (C(5) - 3) \times C(6) - 2$$
$$\mathbf{26352} := 2 + (C(5) - 3) \times C(6) - 2$$
$$\mathbf{26353} := 3 + (C(5) - 3) \times C(6) - 2$$
$$\mathbf{26354} := 4 + (C(5) - 3) \times C(6) - 2$$
$$\mathbf{26355} := 5 + (C(5) - 3) \times C(6) - 2$$
$$\mathbf{26356} := 6 + (C(5) - 3) \times C(6) - 2$$
$$\mathbf{26357} := 7 + (C(5) - 3) \times C(6) - 2$$
$$\mathbf{26358} := 8 + (C(5) - 3) \times C(6) - 2$$
$$\mathbf{26359} := 9 + (C(5) - 3) \times C(6) - 2$$

$$\mathbf{29160} := 0 + (6-1) \times C(9 \times 2)$$
$$\mathbf{29161} := 1 + (6-1) \times C(9 \times 2)$$
$$\mathbf{29162} := 2 + (6-1) \times C(9 \times 2)$$
$$\mathbf{29163} := 3 + (6-1) \times C(9 \times 2)$$
$$\mathbf{29164} := 4 + (6-1) \times C(9 \times 2)$$
$$\mathbf{29165} := 5 + (6-1) \times C(9 \times 2)$$
$$\mathbf{29166} := 6 + (6-1) \times C(9 \times 2)$$
$$\mathbf{29167} := 7 + (6-1) \times C(9 \times 2)$$
$$\mathbf{29168} := 8 + (6-1) \times C(9 \times 2)$$
$$\mathbf{29169} := 9 + (6-1) \times C(9 \times 2)$$

$$\mathbf{31250} := 0 + C(5^2) \times (-1+3)$$
$$\mathbf{31251} := 1 + C(5^2) \times (-1+3)$$
$$\mathbf{31252} := 2 + C(5^2) \times (-1+3)$$
$$\mathbf{31253} := 3 + C(5^2) \times (-1+3)$$
$$\mathbf{31254} := 4 + C(5^2) \times (-1+3)$$
$$\mathbf{31255} := 5 + C(5^2) \times (-1+3)$$
$$\mathbf{31256} := 6 + C(5^2) \times (-1+3)$$
$$\mathbf{31257} := 7 + C(5^2) \times (-1+3)$$
$$\mathbf{31258} := 8 + C(5^2) \times (-1+3)$$
$$\mathbf{31259} := 9 + C(5^2) \times (-1+3)$$

$$\mathbf{33280} := 0 + C(8) + C(2+3+C(3))$$
$$\mathbf{33281} := 1 + C(8) + C(2+3+C(3))$$
$$\mathbf{33282} := 2 + C(8) + C(2+3+C(3))$$
$$\mathbf{33283} := 3 + C(8) + C(2+3+C(3))$$
$$\mathbf{33284} := 4 + C(8) + C(2+3+C(3))$$
$$\mathbf{33285} := 5 + C(8) + C(2+3+C(3))$$
$$\mathbf{33286} := 6 + C(8) + C(2+3+C(3))$$
$$\mathbf{33287} := 7 + C(8) + C(2+3+C(3))$$
$$\mathbf{33288} := 8 + C(8) + C(2+3+C(3))$$
$$\mathbf{33289} := 9 + C(8) + C(2+3+C(3))$$

$$\mathbf{33750} := 0 + C(5) \times (7+3) \times C(3)$$
$$\mathbf{33751} := 1 + C(5) \times (7+3) \times C(3)$$
$$\mathbf{33752} := 2 + C(5) \times (7+3) \times C(3)$$
$$\mathbf{33753} := 3 + C(5) \times (7+3) \times C(3)$$
$$\mathbf{33754} := 4 + C(5) \times (7+3) \times C(3)$$
$$\mathbf{33755} := 5 + C(5) \times (7+3) \times C(3)$$
$$\mathbf{33756} := 6 + C(5) \times (7+3) \times C(3)$$
$$\mathbf{33757} := 7 + C(5) \times (7+3) \times C(3)$$
$$\mathbf{33758} := 8 + C(5) \times (7+3) \times C(3)$$
$$\mathbf{33759} := 9 + C(5) \times (7+3) \times C(3)$$

$$\mathbf{34240} := 0 - C(4) + C(C(2)) \times (C(4)+3)$$
$$\mathbf{34241} := 1 - C(4) + C(C(2)) \times (C(4)+3)$$
$$\mathbf{34242} := 2 - C(4) + C(C(2)) \times (C(4)+3)$$
$$\mathbf{34243} := 3 - C(4) + C(C(2)) \times (C(4)+3)$$
$$\mathbf{34244} := 4 - C(4) + C(C(2)) \times (C(4)+3)$$
$$\mathbf{34245} := 5 - C(4) + C(C(2)) \times (C(4)+3)$$

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$$\mathbf{34246} := 6 - C(4) + C(C(2)) \times (C(4) + 3)$$
$$\mathbf{34247} := 7 - C(4) + C(C(2)) \times (C(4) + 3)$$
$$\mathbf{34248} := 8 - C(4) + C(C(2)) \times (C(4) + 3)$$
$$\mathbf{34249} := 9 - C(4) + C(C(2)) \times (C(4) + 3)$$

$$\mathbf{39280} := 0 + 8 \times (C(C(2) + 9) - 3)$$
$$\mathbf{39281} := 1 + 8 \times (C(C(2) + 9) - 3)$$
$$\mathbf{39282} := 2 + 8 \times (C(C(2) + 9) - 3)$$
$$\mathbf{39283} := 3 + 8 \times (C(C(2) + 9) - 3)$$
$$\mathbf{39284} := 4 + 8 \times (C(C(2) + 9) - 3)$$
$$\mathbf{39285} := 5 + 8 \times (C(C(2) + 9) - 3)$$
$$\mathbf{39286} := 6 + 8 \times (C(C(2) + 9) - 3)$$
$$\mathbf{39287} := 7 + 8 \times (C(C(2) + 9) - 3)$$
$$\mathbf{39288} := 8 + 8 \times (C(C(2) + 9) - 3)$$
$$\mathbf{39289} := 9 + 8 \times (C(C(2) + 9) - 3)$$

$$\mathbf{39330} := 0 + C(C(3)) + C(C(3)) - 9 - C(3)$$
$$\mathbf{39331} := 1 + C(C(3)) + C(C(3)) - 9 - C(3)$$
$$\mathbf{39332} := 2 + C(C(3)) + C(C(3)) - 9 - C(3)$$
$$\mathbf{39333} := 3 + C(C(3)) + C(C(3)) - 9 - C(3)$$
$$\mathbf{39334} := 4 + C(C(3)) + C(C(3)) - 9 - C(3)$$
$$\mathbf{39335} := 5 + C(C(3)) + C(C(3)) - 9 - C(3)$$
$$\mathbf{39336} := 6 + C(C(3)) + C(C(3)) - 9 - C(3)$$
$$\mathbf{39337} := 7 + C(C(3)) + C(C(3)) - 9 - C(3)$$
$$\mathbf{39338} := 8 + C(C(3)) + C(C(3)) - 9 - C(3)$$
$$\mathbf{39339} := 9 + C(C(3)) + C(C(3)) - 9 - C(3)$$

$$\mathbf{39430} := 0 + C(C(3)) + C(4) + C(9 \times 3)$$
$$\mathbf{39431} := 1 + C(C(3)) + C(4) + C(9 \times 3)$$
$$\mathbf{39432} := 2 + C(C(3)) + C(4) + C(9 \times 3)$$
$$\mathbf{39433} := 3 + C(C(3)) + C(4) + C(9 \times 3)$$
$$\mathbf{39434} := 4 + C(C(3)) + C(4) + C(9 \times 3)$$
$$\mathbf{39435} := 5 + C(C(3)) + C(4) + C(9 \times 3)$$
$$\mathbf{39436} := 6 + C(C(3)) + C(4) + C(9 \times 3)$$
$$\mathbf{39437} := 7 + C(C(3)) + C(4) + C(9 \times 3)$$
$$\mathbf{39438} := 8 + C(C(3)) + C(4) + C(9 \times 3)$$
$$\mathbf{39439} := 9 + C(C(3)) + C(4) + C(9 \times 3)$$

$$\mathbf{43750} := 0 + C(5) \times (C(7) + 3 + 4)$$
$$\mathbf{43751} := 1 + C(5) \times (C(7) + 3 + 4)$$
$$\mathbf{43752} := 2 + C(5) \times (C(7) + 3 + 4)$$
$$\mathbf{43753} := 3 + C(5) \times (C(7) + 3 + 4)$$
$$\mathbf{43754} := 4 + C(5) \times (C(7) + 3 + 4)$$
$$\mathbf{43755} := 5 + C(5) \times (C(7) + 3 + 4)$$
$$\mathbf{43756} := 6 + C(5) \times (C(7) + 3 + 4)$$
$$\mathbf{43757} := 7 + C(5) \times (C(7) + 3 + 4)$$
$$\mathbf{43758} := 8 + C(5) \times (C(7) + 3 + 4)$$
$$\mathbf{43759} := 9 + C(5) \times (C(7) + 3 + 4)$$

$$\mathbf{46640} := 0 + (4 + C(6)) \times (C(6) - 4)$$
$$\mathbf{46641} := 1 + (4 + C(6)) \times (C(6) - 4)$$
$$\mathbf{46642} := 2 + (4 + C(6)) \times (C(6) - 4)$$
$$\mathbf{46643} := 3 + (4 + C(6)) \times (C(6) - 4)$$
$$\mathbf{46644} := 4 + (4 + C(6)) \times (C(6) - 4)$$
$$\mathbf{46645} := 5 + (4 + C(6)) \times (C(6) - 4)$$
$$\mathbf{46646} := 6 + (4 + C(6)) \times (C(6) - 4)$$
$$\mathbf{46647} := 7 + (4 + C(6)) \times (C(6) - 4)$$
$$\mathbf{46648} := 8 + (4 + C(6)) \times (C(6) - 4)$$
$$\mathbf{46649} := 9 + (4 + C(6)) \times (C(6) - 4)$$

$$\mathbf{49750} := 0 + C(5) \times (C(7) - 9 + C(4))$$
$$\mathbf{49751} := 1 + C(5) \times (C(7) - 9 + C(4))$$
$$\mathbf{49752} := 2 + C(5) \times (C(7) - 9 + C(4))$$
$$\mathbf{49753} := 3 + C(5) \times (C(7) - 9 + C(4))$$
$$\mathbf{49754} := 4 + C(5) \times (C(7) - 9 + C(4))$$
$$\mathbf{49755} := 5 + C(5) \times (C(7) - 9 + C(4))$$
$$\mathbf{49756} := 6 + C(5) \times (C(7) - 9 + C(4))$$
$$\mathbf{49757} := 7 + C(5) \times (C(7) - 9 + C(4))$$
$$\mathbf{49758} := 8 + C(5) \times (C(7) - 9 + C(4))$$
$$\mathbf{49759} := 9 + C(5) \times (C(7) - 9 + C(4))$$

$$\mathbf{52340} := 0 - 4 \times (C(C(3)) - C(2^5))$$
$$\mathbf{52341} := 1 - 4 \times (C(C(3)) - C(2^5))$$
$$\mathbf{52342} := 2 - 4 \times (C(C(3)) - C(2^5))$$
$$\mathbf{52343} := 3 - 4 \times (C(C(3)) - C(2^5))$$
$$\mathbf{52344} := 4 - 4 \times (C(C(3)) - C(2^5))$$
$$\mathbf{52345} := 5 - 4 \times (C(C(3)) - C(2^5))$$
$$\mathbf{52346} := 6 - 4 \times (C(C(3)) - C(2^5))$$
$$\mathbf{52347} := 7 - 4 \times (C(C(3)) - C(2^5))$$
$$\mathbf{52348} := 8 - 4 \times (C(C(3)) - C(2^5))$$
$$\mathbf{52349} := 9 - 4 \times (C(C(3)) - C(2^5))$$

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$53240 := 0 + C((C(4) + 2)/3) \times 5$
$53241 := 1 + C((C(4) + 2)/3) \times 5$
$53242 := 2 + C((C(4) + 2)/3) \times 5$
$53243 := 3 + C((C(4) + 2)/3) \times 5$
$53244 := 4 + C((C(4) + 2)/3) \times 5$
$53245 := 5 + C((C(4) + 2)/3) \times 5$
$53246 := 6 + C((C(4) + 2)/3) \times 5$
$53247 := 7 + C((C(4) + 2)/3) \times 5$
$53248 := 8 + C((C(4) + 2)/3) \times 5$
$53249 := 9 + C((C(4) + 2)/3) \times 5$

$53250 := 0 + 5 \times (2 + C(C(3) - 5))$
$53251 := 1 + 5 \times (2 + C(C(3) - 5))$
$53252 := 2 + 5 \times (2 + C(C(3) - 5))$
$53253 := 3 + 5 \times (2 + C(C(3) - 5))$
$53254 := 4 + 5 \times (2 + C(C(3) - 5))$
$53255 := 5 + 5 \times (2 + C(C(3) - 5))$
$53256 := 6 + 5 \times (2 + C(C(3) - 5))$
$53257 := 7 + 5 \times (2 + C(C(3) - 5))$
$53258 := 8 + 5 \times (2 + C(C(3) - 5))$
$53259 := 9 + 5 \times (2 + C(C(3) - 5))$

$53460 := 0 + (C(6) + 4) \times 3^5$
$53461 := 1 + (C(6) + 4) \times 3^5$
$53462 := 2 + (C(6) + 4) \times 3^5$
$53463 := 3 + (C(6) + 4) \times 3^5$
$53464 := 4 + (C(6) + 4) \times 3^5$
$53465 := 5 + (C(6) + 4) \times 3^5$
$53466 := 6 + (C(6) + 4) \times 3^5$
$53467 := 7 + (C(6) + 4) \times 3^5$
$53468 := 8 + (C(6) + 4) \times 3^5$
$53469 := 9 + (C(6) + 4) \times 3^5$

$57230 := 0 + (C(3) - C(C(2))) \times (7 - C(5))$
$57231 := 1 + (C(3) - C(C(2))) \times (7 - C(5))$
$57232 := 2 + (C(3) - C(C(2))) \times (7 - C(5))$
$57233 := 3 + (C(3) - C(C(2))) \times (7 - C(5))$
$57234 := 4 + (C(3) - C(C(2))) \times (7 - C(5))$
$57235 := 5 + (C(3) - C(C(2))) \times (7 - C(5))$
$57236 := 6 + (C(3) - C(C(2))) \times (7 - C(5))$
$57237 := 7 + (C(3) - C(C(2))) \times (7 - C(5))$
$57238 := 8 + (C(3) - C(C(2))) \times (7 - C(5))$
$57239 := 9 + (C(3) - C(C(2))) \times (7 - C(5))$

$61440 := 0 + C(C(4))/4 - C(16)$
$61441 := 1 + C(C(4))/4 - C(16)$
$61442 := 2 + C(C(4))/4 - C(16)$
$61443 := 3 + C(C(4))/4 - C(16)$
$61444 := 4 + C(C(4))/4 - C(16)$
$61445 := 5 + C(C(4))/4 - C(16)$
$61446 := 6 + C(C(4))/4 - C(16)$
$61447 := 7 + C(C(4))/4 - C(16)$
$61448 := 8 + C(C(4))/4 - C(16)$
$61449 := 9 + C(C(4))/4 - C(16)$

$62250 := 0 + C(5) \times (C(C(2)) - C(2) - 6)$
$62251 := 1 + C(5) \times (C(C(2)) - C(2) - 6)$
$62252 := 2 + C(5) \times (C(C(2)) - C(2) - 6)$
$62253 := 3 + C(5) \times (C(C(2)) - C(2) - 6)$
$62254 := 4 + C(5) \times (C(C(2)) - C(2) - 6)$
$62255 := 5 + C(5) \times (C(C(2)) - C(2) - 6)$
$62256 := 6 + C(5) \times (C(C(2)) - C(2) - 6)$
$62257 := 7 + C(5) \times (C(C(2)) - C(2) - 6)$
$62258 := 8 + C(5) \times (C(C(2)) - C(2) - 6)$
$62259 := 9 + C(5) \times (C(C(2)) - C(2) - 6)$

$62720 := 0 + C(C(2)) + C(72)/6$
$62721 := 1 + C(C(2)) + C(72)/6$
$62722 := 2 + C(C(2)) + C(72)/6$
$62723 := 3 + C(C(2)) + C(72)/6$
$62724 := 4 + C(C(2)) + C(72)/6$
$62725 := 5 + C(C(2)) + C(72)/6$
$62726 := 6 + C(C(2)) + C(72)/6$
$62727 := 7 + C(C(2)) + C(72)/6$
$62728 := 8 + C(C(2)) + C(72)/6$
$62729 := 9 + C(C(2)) + C(72)/6$

$63250 := 0 + C(5) \times (C(2^3) - 6)$
$63251 := 1 + C(5) \times (C(2^3) - 6)$
$63252 := 2 + C(5) \times (C(2^3) - 6)$
$63253 := 3 + C(5) \times (C(2^3) - 6)$

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$$\mathbf{63254} := 4 + C(5) \times (C(2^3) - 6)$$
$$\mathbf{63255} := 5 + C(5) \times (C(2^3) - 6)$$
$$\mathbf{63256} := 6 + C(5) \times (C(2^3) - 6)$$
$$\mathbf{63257} := 7 + C(5) \times (C(2^3) - 6)$$
$$\mathbf{63258} := 8 + C(5) \times (C(2^3) - 6)$$
$$\mathbf{63259} := 9 + C(5) \times (C(2^3) - 6)$$

$$\mathbf{64250} := 0 + C(5) \times (C(C(2)) - 4 + 6)$$
$$\mathbf{64251} := 1 + C(5) \times (C(C(2)) - 4 + 6)$$
$$\mathbf{64252} := 2 + C(5) \times (C(C(2)) - 4 + 6)$$
$$\mathbf{64253} := 3 + C(5) \times (C(C(2)) - 4 + 6)$$
$$\mathbf{64254} := 4 + C(5) \times (C(C(2)) - 4 + 6)$$
$$\mathbf{64255} := 5 + C(5) \times (C(C(2)) - 4 + 6)$$
$$\mathbf{64256} := 6 + C(5) \times (C(C(2)) - 4 + 6)$$
$$\mathbf{64257} := 7 + C(5) \times (C(C(2)) - 4 + 6)$$
$$\mathbf{64258} := 8 + C(5) \times (C(C(2)) - 4 + 6)$$
$$\mathbf{64259} := 9 + C(5) \times (C(C(2)) - 4 + 6)$$

$$\mathbf{65320} := 0 + C(C(2)) \times (3 + C(5)) - C(6)$$
$$\mathbf{65321} := 1 + C(C(2)) \times (3 + C(5)) - C(6)$$
$$\mathbf{65322} := 2 + C(C(2)) \times (3 + C(5)) - C(6)$$
$$\mathbf{65323} := 3 + C(C(2)) \times (3 + C(5)) - C(6)$$
$$\mathbf{65324} := 4 + C(C(2)) \times (3 + C(5)) - C(6)$$
$$\mathbf{65325} := 5 + C(C(2)) \times (3 + C(5)) - C(6)$$
$$\mathbf{65326} := 6 + C(C(2)) \times (3 + C(5)) - C(6)$$
$$\mathbf{65327} := 7 + C(C(2)) \times (3 + C(5)) - C(6)$$
$$\mathbf{65328} := 8 + C(C(2)) \times (3 + C(5)) - C(6)$$
$$\mathbf{65329} := 9 + C(C(2)) \times (3 + C(5)) - C(6)$$

$$\mathbf{72360} := 0 - 6^3 \times (C(2) - C(7))$$
$$\mathbf{72361} := 1 - 6^3 \times (C(2) - C(7))$$
$$\mathbf{72362} := 2 - 6^3 \times (C(2) - C(7))$$
$$\mathbf{72363} := 3 - 6^3 \times (C(2) - C(7))$$
$$\mathbf{72364} := 4 - 6^3 \times (C(2) - C(7))$$
$$\mathbf{72365} := 5 - 6^3 \times (C(2) - C(7))$$
$$\mathbf{72366} := 6 - 6^3 \times (C(2) - C(7))$$
$$\mathbf{72367} := 7 - 6^3 \times (C(2) - C(7))$$
$$\mathbf{72368} := 8 - 6^3 \times (C(2) - C(7))$$
$$\mathbf{72369} := 9 - 6^3 \times (C(2) - C(7))$$

$$\mathbf{75680} := 0 + C(8) + C(6) \times (5 + C(7))$$
$$\mathbf{75681} := 1 + C(8) + C(6) \times (5 + C(7))$$
$$\mathbf{75682} := 2 + C(8) + C(6) \times (5 + C(7))$$
$$\mathbf{75683} := 3 + C(8) + C(6) \times (5 + C(7))$$
$$\mathbf{75684} := 4 + C(8) + C(6) \times (5 + C(7))$$
$$\mathbf{75685} := 5 + C(8) + C(6) \times (5 + C(7))$$
$$\mathbf{75686} := 6 + C(8) + C(6) \times (5 + C(7))$$
$$\mathbf{75687} := 7 + C(8) + C(6) \times (5 + C(7))$$
$$\mathbf{75688} := 8 + C(8) + C(6) \times (5 + C(7))$$
$$\mathbf{75689} := 9 + C(8) + C(6) \times (5 + C(7))$$

$$\mathbf{79850} := 0 - C((C(5) - C(8))/9) + C(7)$$
$$\mathbf{79851} := 2 - C((C(5) - C(8))/9) + C(7)$$
$$\mathbf{79852} := 3 - C((C(5) - C(8))/9) + C(7)$$
$$\mathbf{79853} := 4 - C((C(5) - C(8))/9) + C(7)$$
$$\mathbf{79854} := 5 - C((C(5) - C(8))/9) + C(7)$$
$$\mathbf{79855} := 6 - C((C(5) - C(8))/9) + C(7)$$
$$\mathbf{79856} := 7 - C((C(5) - C(8))/9) + C(7)$$
$$\mathbf{79857} := 8 - C((C(5) - C(8))/9) + C(7)$$
$$\mathbf{79858} := 9 - C((C(5) - C(8))/9) + C(7)$$
$$\mathbf{79859} := 0 - C((C(5) - C(8))/9) + C(7)$$

$$\mathbf{87880} := 0 - (8 + C(8)) \times (C(7) - C(8))$$
$$\mathbf{87881} := 1 - (8 + C(8)) \times (C(7) - C(8))$$
$$\mathbf{87882} := 2 - (8 + C(8)) \times (C(7) - C(8))$$
$$\mathbf{87883} := 3 - (8 + C(8)) \times (C(7) - C(8))$$
$$\mathbf{87884} := 4 - (8 + C(8)) \times (C(7) - C(8))$$
$$\mathbf{87885} := 5 - (8 + C(8)) \times (C(7) - C(8))$$
$$\mathbf{87886} := 6 - (8 + C(8)) \times (C(7) - C(8))$$
$$\mathbf{87887} := 7 - (8 + C(8)) \times (C(7) - C(8))$$
$$\mathbf{87888} := 8 - (8 + C(8)) \times (C(7) - C(8))$$
$$\mathbf{87889} := 9 - (8 + C(8)) \times (C(7) - C(8))$$

$$\mathbf{91250} := 0 + C(5) \times (2 - 1 + C(9))$$
$$\mathbf{91251} := 1 + C(5) \times (2 - 1 + C(9))$$
$$\mathbf{91252} := 2 + C(5) \times (2 - 1 + C(9))$$
$$\mathbf{91253} := 3 + C(5) \times (2 - 1 + C(9))$$
$$\mathbf{91254} := 4 + C(5) \times (2 - 1 + C(9))$$
$$\mathbf{91255} := 5 + C(5) \times (2 - 1 + C(9))$$
$$\mathbf{91256} := 6 + C(5) \times (2 - 1 + C(9))$$
$$\mathbf{91257} := 7 + C(5) \times (2 - 1 + C(9))$$

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$$\mathbf{91258} := 8 + C(5) \times (2 - 1 + C(9))$$
$$\mathbf{91259} := 9 + C(5) \times (2 - 1 + C(9))$$

$$\mathbf{93750} := 0 + C(5) \times (7 \times 3 + C(9))$$
$$\mathbf{93751} := 1 + C(5) \times (7 \times 3 + C(9))$$
$$\mathbf{93752} := 2 + C(5) \times (7 \times 3 + C(9))$$
$$\mathbf{93753} := 3 + C(5) \times (7 \times 3 + C(9))$$
$$\mathbf{93754} := 4 + C(5) \times (7 \times 3 + C(9))$$
$$\mathbf{93755} := 5 + C(5) \times (7 \times 3 + C(9))$$
$$\mathbf{93756} := 6 + C(5) \times (7 \times 3 + C(9))$$
$$\mathbf{93757} := 7 + C(5) \times (7 \times 3 + C(9))$$
$$\mathbf{93758} := 8 + C(5) \times (7 \times 3 + C(9))$$
$$\mathbf{93759} := 9 + C(5) \times (7 \times 3 + C(9))$$

$$\mathbf{95320} := 0 - C(C(2)) + C(C(3) - 5) \times 9$$
$$\mathbf{95321} := 1 - C(C(2)) + C(C(3) - 5) \times 9$$
$$\mathbf{95322} := 2 - C(C(2)) + C(C(3) - 5) \times 9$$
$$\mathbf{95323} := 3 - C(C(2)) + C(C(3) - 5) \times 9$$
$$\mathbf{95324} := 4 - C(C(2)) + C(C(3) - 5) \times 9$$
$$\mathbf{95325} := 5 - C(C(2)) + C(C(3) - 5) \times 9$$
$$\mathbf{95326} := 6 - C(C(2)) + C(C(3) - 5) \times 9$$
$$\mathbf{95327} := 7 - C(C(2)) + C(C(3) - 5) \times 9$$
$$\mathbf{95328} := 8 - C(C(2)) + C(C(3) - 5) \times 9$$
$$\mathbf{95329} := 9 - C(C(2)) + C(C(3) - 5) \times 9$$

$$\mathbf{97340} := 0 + 4 + C(37 + 9)$$
$$\mathbf{97341} := 1 + 4 + C(37 + 9)$$
$$\mathbf{97342} := 2 + 4 + C(37 + 9)$$
$$\mathbf{97343} := 3 + 4 + C(37 + 9)$$
$$\mathbf{97344} := 4 + 4 + C(37 + 9)$$
$$\mathbf{97345} := 5 + 4 + C(37 + 9)$$
$$\mathbf{97346} := 6 + 4 + C(37 + 9)$$
$$\mathbf{97347} := 7 + 4 + C(37 + 9)$$
$$\mathbf{97348} := 8 + 4 + C(37 + 9)$$
$$\mathbf{97349} := 9 + 4 + C(37 + 9)$$

3.2 Symmetric and Nonconsecutive

$$\mathbf{01101} := 101 + C(10)$$
$$\mathbf{01111} := 111 + C(10)$$
$$\mathbf{01121} := 121 + C(10)$$
$$\mathbf{01131} := 131 + C(10)$$
$$\mathbf{01141} := 141 + C(10)$$
$$\mathbf{01151} := 151 + C(10)$$
$$\mathbf{01161} := 161 + C(10)$$
$$\mathbf{01171} := 171 + C(10)$$
$$\mathbf{01181} := 181 + C(10)$$
$$\mathbf{01191} := 191 + C(10)$$
$$\mathbf{01202} := 202 + C(10)$$
$$\mathbf{01212} := 212 + C(10)$$
$$\mathbf{01222} := 222 + C(10)$$
$$\mathbf{01232} := 232 + C(10)$$
$$\mathbf{01242} := 242 + C(10)$$
$$\mathbf{01252} := 252 + C(10)$$
$$\mathbf{01262} := 262 + C(10)$$
$$\mathbf{01272} := 272 + C(10)$$
$$\mathbf{01282} := 282 + C(10)$$
$$\mathbf{01292} := 292 + C(10)$$
$$\mathbf{01303} := 303 + C(10)$$
$$\mathbf{01313} := 313 + C(10)$$
$$\mathbf{01323} := 323 + C(10)$$
$$\mathbf{01333} := 333 + C(10)$$
$$\mathbf{01343} := 343 + C(10)$$
$$\mathbf{01353} := 353 + C(10)$$
$$\mathbf{01363} := 363 + C(10)$$
$$\mathbf{01373} := 373 + C(10)$$
$$\mathbf{01383} := 383 + C(10)$$
$$\mathbf{01393} := 393 + C(10)$$
$$\mathbf{01404} := 404 + C(10)$$
$$\mathbf{01414} := 414 + C(10)$$
$$\mathbf{01424} := 424 + C(10)$$
$$\mathbf{01434} := 434 + C(10)$$
$$\mathbf{01444} := 444 + C(10)$$
$$\mathbf{01454} := 454 + C(10)$$
$$\mathbf{01464} := 464 + C(10)$$
$$\mathbf{01474} := 474 + C(10)$$

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$$\mathbf{01484} := 484 + C(10)$$
$$\mathbf{01494} := 494 + C(10)$$
$$\mathbf{01505} := 505 + C(10)$$
$$\mathbf{01515} := 515 + C(10)$$
$$\mathbf{01525} := 525 + C(10)$$
$$\mathbf{01535} := 535 + C(10)$$
$$\mathbf{01545} := 545 + C(10)$$
$$\mathbf{01555} := 555 + C(10)$$
$$\mathbf{01565} := 565 + C(10)$$
$$\mathbf{01575} := 575 + C(10)$$
$$\mathbf{01585} := 585 + C(10)$$
$$\mathbf{01595} := 595 + C(10)$$
$$\mathbf{01606} := 606 + C(10)$$
$$\mathbf{01616} := 616 + C(10)$$
$$\mathbf{01626} := 626 + C(10)$$
$$\mathbf{01636} := 636 + C(10)$$
$$\mathbf{01646} := 646 + C(10)$$
$$\mathbf{01656} := 656 + C(10)$$
$$\mathbf{01666} := 666 + C(10)$$
$$\mathbf{01676} := 676 + C(10)$$
$$\mathbf{01686} := 686 + C(10)$$
$$\mathbf{01696} := 696 + C(10)$$
$$\mathbf{01707} := 707 + C(10)$$
$$\mathbf{01717} := 717 + C(10)$$
$$\mathbf{01727} := 727 + C(10)$$
$$\mathbf{01737} := 737 + C(10)$$
$$\mathbf{01747} := 747 + C(10)$$
$$\mathbf{01757} := 757 + C(10)$$
$$\mathbf{01767} := 767 + C(10)$$
$$\mathbf{01777} := 777 + C(10)$$
$$\mathbf{01787} := 787 + C(10)$$
$$\mathbf{01797} := 797 + C(10)$$
$$\mathbf{01808} := 808 + C(10)$$
$$\mathbf{01818} := 818 + C(10)$$
$$\mathbf{01828} := 828 + C(10)$$
$$\mathbf{01838} := 838 + C(10)$$
$$\mathbf{01848} := 848 + C(10)$$
$$\mathbf{01858} := 858 + C(10)$$
$$\mathbf{01868} := 868 + C(10)$$
$$\mathbf{01878} := 878 + C(10)$$
$$\mathbf{01888} := 888 + C(10)$$
$$\mathbf{01898} := 898 + C(10)$$
$$\mathbf{01909} := 909 + C(10)$$
$$\mathbf{01919} := 919 + C(10)$$
$$\mathbf{01929} := 929 + C(10)$$
$$\mathbf{01939} := 939 + C(10)$$
$$\mathbf{01949} := 949 + C(10)$$
$$\mathbf{01959} := 959 + C(10)$$
$$\mathbf{01969} := 969 + C(10)$$
$$\mathbf{01979} := 979 + C(10)$$
$$\mathbf{01989} := 989 + C(10)$$
$$\mathbf{01999} := 999 + C(10)$$

$$\mathbf{02500} := 00 + C(5) \times 20$$
$$\mathbf{02511} := 11 + C(5) \times 20$$
$$\mathbf{02522} := 22 + C(5) \times 20$$
$$\mathbf{02533} := 33 + C(5) \times 20$$
$$\mathbf{02544} := 44 + C(5) \times 20$$
$$\mathbf{02555} := 55 + C(5) \times 20$$
$$\mathbf{02566} := 66 + C(5) \times 20$$
$$\mathbf{02577} := 77 + C(5) \times 20$$
$$\mathbf{02588} := 88 + C(5) \times 20$$
$$\mathbf{02599} := 99 + C(5) \times 20$$

$$\mathbf{15500} := 00 + C(5) \times (C(5) - 1)$$
$$\mathbf{15511} := 11 + C(5) \times (C(5) - 1)$$
$$\mathbf{15522} := 22 + C(5) \times (C(5) - 1)$$
$$\mathbf{15533} := 33 + C(5) \times (C(5) - 1)$$
$$\mathbf{15544} := 44 + C(5) \times (C(5) - 1)$$
$$\mathbf{15555} := 55 + C(5) \times (C(5) - 1)$$
$$\mathbf{15566} := 66 + C(5) \times (C(5) - 1)$$
$$\mathbf{15577} := 77 + C(5) \times (C(5) - 1)$$
$$\mathbf{15588} := 88 + C(5) \times (C(5) - 1)$$
$$\mathbf{15599} := 99 + C(5) \times (C(5) - 1)$$

$$\mathbf{2704} := -40 + C(7 \times 2)$$
$$\mathbf{2713} := -31 + C(7 \times 2)$$
$$\mathbf{2722} := -22 + C(7 \times 2)$$
$$\mathbf{2731} := -13 + C(7 \times 2)$$

$$\mathbf{36007} := 70 + C(06 + C(3))$$
$$\mathbf{36018} := 81 + C(06 + C(3))$$
$$\mathbf{36029} := 92 + C(06 + C(3))$$

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$97340 := 04 + C(37 + 9)$
$97351 := 15 + C(37 + 9)$
$97362 := 26 + C(37 + 9)$
$97373 := 37 + C(37 + 9)$
$97384 := 48 + C(37 + 9)$
$97395 := 59 + C(37 + 9)$

3.3 General Representations

This subsection brings **selfie numbers** written in terms of **cubic function** given in (4) in **reverse order of digits**. The whole work is up to 5-digits. The numbers given below contains lot of extra brackets "()". These can be removed easily after simplifications.

$135 := (5 \times C((3 \times 1)))$
$163 := ((C(3) \times 6) + 1)$
$224 := (C((4 + 2)) + C(2))$
$226 := ((C(6) + 2) + C(2))$
$232 := ((2 + C(3)) \times C(2))$
$243 := (C(3) + C((4 + 2)))$
$283 := (C(3) + (C(8)/2))$
$316 := (C((6 + 1)) - C(3))$
$317 := ((C(7) + 1) - C(3))$
$324 := ((4 + C(2)) \times C(3))$
$337 := (C(7) - (3 + 3))$
$407 := (C(7) + C(04))$
$448 := ((8 \times C(4)) - C(4))$
$458 := (C(8) - (54))$
$512 := C(((2 + 1) + 5))$
$517 := (C((7 + 1)) + (5))$
$518 := (C(8) + (1 + 5))$
$522 := (C(C(2)) + (2 \times 5))$
$549 := (-(9) \times (C(4) - C(5)))$
$568 := -((C(8) - (C(6) \times 5)))$
$585 := ((C(5) - 8) \times 5)$
$597 := ((-(7) + C(9)) - C(5))$
$639 := (-(9) + (3 \times C(6)))$
$655 := (5 \times (C(5) + (6)))$
$729 := (C(9) \times (C(2) - (7)))$
$736 := (C((6 + 3)) + (7))$
$739 := (C(9) + (3 + 7))$
$991 := (C((1 + 9)) - 9)$

$0235 := (5 \times (C(3) + (20)))$
$0263 := ((C(3) + C(6)) + (20))$
$0285 := (C(5) + (8 \times 20))$
$0326 := ((-(C(6)) + C(C(2))) + (30))$
$0347 := (C(7) + (4 + (3 \times 0)))$
$0367 := (C(7) - ((6 - 30)))$
$0395 := (C(5) + (9 \times 30))$
$0562 := (C((2 + 6)) + (50))$
$0568 := (C(8) + (6 + 50))$
$0729 := C((9 + ((2^7) \times 0)))$
$0809 := (C(9) - (0 - 80))$
$0864 := (4 \times C((6 + (8 \times 0))))$
$0875 := (C(5) \times (7 + (8 \times 0)))$

$1022 := (2 \times (C(C(2)) - 01))$
$1115 := -((C((5 + 1)) - C(11)))$
$1116 := -(((C(6) - 1) - C(11)))$
$1125 := (C(5) \times (-(2 - 11)))$
$1216 := (C(6) + C(((1 + C(2)) + 1)))$
$1238 := ((C(8) - 3) + C((C(2) + 1)))$
$1239 := (((C(9) - 3) + C(C(2))) + 1)$
$1255 := (-(5) \times ((C(5) \times (-2)) - 1))$
$1285 := (-(5) \times ((C(8)/(-2)) - 1))$
$1296 := (C(6) \times ((9 - 2) - 1))$
$1322 := ((-(C(2)) + C((C(2) + 3))) - 1)$
$1323 := (C((3 + C(2))) - C((3 - 1)))$
$1325 := ((-(5) + C((C(2) + 3))) - 1)$
$1326 := ((-(6) + C((C(2) + 3))) + 1)$
$1329 := (C((9 + 2)) - (3 - 1))$
$1331 := C(((13 - 3) + 1))$
$1332 := (C(((2^3) + 3)) + 1)$
$1359 := (9 \times ((C(5) + C(3)) - 1))$

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1371 := $(-(1)-(C(7)\times(-(3+1))))$
1372 := $((2\times C(7))\times(3-1))$
1374 := $((4\times C(7))+(3-1))$
1375 := $(C(5)\times((7+3)+1))$
1394 := $-((C(4)+(C(9)\times(-(3-1)))))$
1456 := $(C((6+5))+C((4+1)))$
1459 := $((C(9)+C((5+4)))+1)$
1499 := $((C(9)+C(9))+41)$
1512 := $((C(2)-1)\times C((5+1)))$
1532 := $((C(C(2))\times 3)-(5-1))$
1533 := $(3\times(C((3+5))-1))$
1547 := $(C((7+4))+C((5+1)))$
1576 := $((C(6)\times 7)+C((5-1)))$
1625 := $(C(5)\times((2\times 6)+1))$
1647 := $(C((7-4))\times 61)$
1664 := $((C(4)-C((6+6)))\times(-1))$
1672 := $(C(2)\times(-(7)+C((6\times 1))))$
1674 := $(C((4+7))+C((6+1)))$
1714 := $(((4+1)\times C(7))-1)$
1715 := $(5\times C(((1+7)-1)))$
1716 := $(((6-1)\times C(7))+1)$
1721 := $(C(12)-(7\times 1))$
1724 := $(-(4)+C((2\times(7-1))))$
1725 := $(-(5)\times(-(2)-C((7\times 1))))$
1727 := $(C(((7-2)+7))-1)$
1728 := $C((((8/2)+7)+1))$
1729 := $(C(9)+C(((2+7)+1)))$
1734 := $(C((4\times 3))+(7-1))$
1735 := $(-(5)\times((-(3)-C(7))-1))$
1752 := $(2\times((C(5)\times 7)+1))$
1863 := $(C(3)\times(68+1))$
1875 := $(C(5)\times((7+8)\times 1))$
1926 := $((C(6)-2)\times(9\times 1))$
1962 := $((-(2)-C(6))\times(-(9\times 1)))$
1967 := $((C(7)\times 6)-(91))$
2044 := $(-(4)+(4\times C(C(02))))$
2125 := $(C(5)\times((C(2)+1)+C(2)))$
2163 := $((C(C(3))-C(6))/(1+C(2)))$
2169 := $((C(9)-(6))\times(1+2))$
2185 := $(C((5+8))-12)$
2193 := $(3\times(C(9)+(1\times 2)))$
2194 := $(C((4+9))-(1+2))$
2195 := $(C(((5+9)-1))-2)$
2197 := $C((((7+9)-1)-2))$
2205 := $(C((5+C(02)))+C(2))$
2213 := $(-((C(3)-C(12)))+C(C(2)))$
2232 := $(C((C(2)+((3\times 2))))-C(C(2)))$
2257 := $(-(C(7))-(-(5)\times(C(2)+C(C(2)))))$
2259 := $(9\times(-(5)+(2^{C(2)})))$
2276 := $(((6\times 7)^2)+C(C(2)))$
2296 := $((-((C(6)+9))+C(C(2)))\times C(2))$
2297 := $(-(7)-(-(9)\times(2^{C(2)})))$
2335 := $(-(C(5))+((3-C(C(3)))/(-C(2))))$
2345 := $(-(5)\times(43-C(C(2))))$
2347 := $((7^4)-(C(3)\times 2))$
2368 := $((C(8)-((6^3)))\times C(2))$
2375 := $(C(5)\times((7\times 3)-2))$
2377 := $((C(7)\times 7)-(3\times C(2)))$
2385 := $(5\times((C(8)-C(3))-C(2)))$
2432 := $(((C(2)-C(3))\times C(4))\times(-2))$
2448 := $(C(8)+((44^2)))$
2453 := $((C(C(3))+(5-C(4)))/C(2))$
2455 := $(-(C(5))-(-(5)\times(4+C(C(2)))))$
2456 := $(((6^5)/4)+C(C(2)))$
2464 := $((C(4)-(6^4))\times(-2))$
2495 := $(-(5)\times((9+4)-C(C(2))))$
2502 := $((20\times C(5))+2)$
2522 := $(((C(2)-C(C(2)))\times(-5))+2)$
2525 := $(-(5)\times((2+5)-C(C(2))))$
2527 := $(((7-C(C(2)))\times(-5))+2)$
2528 := $(((C(8)-C(2))\times 5)+C(2))$
2533 := $(-((3^3))-(-(5)\times C(C(2))))$
2537 := $((C(7)-3)+C((5+C(2))))$
2542 := $(((C(C(2))-(4))\times 5)+2)$
2544 := $(-((4\times 4))-(-(5)\times C(C(2))))$
2547 := $(((C(7)+C(4))\times 5)+C(C(2)))$
2548 := $(((C(8)-(4))\times 5)+C(2))$
2555 := $(-(5)\times((5/5)-C(C(2))))$
2561 := $((1^6)-(-(5)\times C(C(2))))$

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$2562 := ((C((2+6)) \times 5) + 2)$
$2563 := (-((3-6)) - (-(5) \times C(C(2))))$
$2565 := (-(5) \times (-((6-5)) - C(C(2))))$
$2568 := ((C(C((8-6))) \times 5) + C(2))$
$2583 := (((3 + C(8)) \times 5) + C(2))$
$2584 := -((((C(4) - C(8)) + C(5)) \times C(2)))$
$2585 := ((5 \times C(8)) + ((5^2)))$
$2587 := (((7 + C(8)) \times 5) - C(2))$
$2624 := (C(4) - ((C(C(2)) \times (-6)) + C(C(2))))$
$2647 := (C(7) + (C(4) \times (6^2)))$
$2654 := ((4 - C((5+6))) \times (-2))$
$2655 := (C(5) + (-(5) \times (6 - C(C(2)))))$
$2656 := (-(6) + (C((5+6)) \times 2))$
$2674 := ((C((4+7)) + (6)) \times 2)$
$2676 := ((C(6) + (7)) \times (6 \times 2))$
$2685 := ((C(5) - (C(8) \times (-6))) - C(C(2)))$
$2693 := (((3 \times C(9)) - (6)) + C(C(2)))$
$2695 := (-(5) \times (-(C((9-6))) - C(C(2))))$
$2699 := ((C(9) \times (9-6)) + C(C(2)))$
$2724 := (-(4) + ((-(2) + C(7)) \times C(2)))$
$2728 := (-((8 \times 2)) + C((7 \times 2)))$
$2736 := (C(((6/3) \times 7)) - C(2))$
$2752 := (C(2) + C(((5+7)+2)))$
$2759 := ((C((9+5)) + (7)) + C(2))$
$2773 := ((C(3) + C((7+7))) + 2)$
$2784 := ((C(4) \times 87)/2)$
$2826 := (C((6 + C(2))) + (82))$
$2852 := -((C(C(2)) - ((58^2))))$
$2856 := (-((C(6) - (5 \times C(8)))) + C(C(2)))$
$2872 := (((C(2) + C(7)) + 8) \times C(2))$
$2875 := (C(5) \times (7 + (8 \times 2)))$
$2912 := (C(2) \times ((-(1) + C(9))/2))$
$2914 := ((4 \times C((1 \times 9))) - 2)$
$2924 := (((-(4) + C(2)) \times C(9)) + C(2))$
$2944 := (C(4) \times (C(4) - ((9 \times 2))))$
$2948 := ((8-4) \times (C(9) + C(2)))$
$2968 := ((C(8) + (C(6) \times 9)) + C(C(2)))$
$2969 := ((-(9) \times C(6)) + C((9 + C(2))))$
$2976 := (-(6) \times ((7+9) - C(C(2))))$
$3015 := ((-(5) - C(10)) \times (-3))$
$3157 := -((C(7) + (C(5) \times (-(1) - C(3)))))$
$3159 := (((-(9) + C(5)) + 1) \times C(3))$
$3259 := ((C((9+5)) + C(C(2))) + 3)$
$3264 := (C(4) \times ((6 \times C(2)) + 3))$
$3276 := (-(6) \times ((-(7) - C(C(2))) - C(3)))$
$3289 := (C(9) + (C(8) \times (2+3)))$
$3321 := (123 \times C(3))$
$3329 := ((-(C(9)) - C((-(2) + C(3)))) + C(C(3)))$
$3348 := (C(((8+4)+3)) - C(3))$
$3351 := (((-(1) + C(5)) \times C(3)) + 3)$
$3369 := (C((9+6)) - (3+3))$
$3372 := (((C(2) + (7))^3) - 3)$
$3448 := (-(8) + ((C(4) + C(4)) \times C(3)))$
$3472 := (C(2) \times ((C(7) + C(4)) + C(3)))$
$3483 := ((C((3 \times 8))/4) + C(3))$
$3527 := (C((7 + C(2))) + (C(5) + C(3)))$
$3572 := (C(2) + ((7 + C(5)) \times C(3)))$
$3577 := (-(7) + (7 \times C((5+3))))$
$3584 := ((C(4) - C(8)) \times (-(5+3)))$
$3591 := ((-((1-9)) + C(5)) \times C(3))$
$3592 := -((C(C(2)) - (C(9) + C((5 \times 3)))))$
$3625 := (C(5) \times (26+3))$
$3645 := ((C(5) + (4+6)) \times C(3))$
$3648 := (8 \times ((C(4) - C(6)) \times (-3)))$
$3653 := (((C(C(3)) \times 5) + C(6))/C(3))$
$3685 := (-(5) \times (-(8) - C((6+3))))$
$3744 := (-(4) \times (C(4) - C((7+3))))$
$3848 := (8 \times ((-(4) + C(8)) - C(3)))$
$3875 := (C(5) \times (7 + (8 \times 3)))$
$3925 := (C((5 + C(2))) + C((9+3)))$
$3942 := (2 \times ((C(4) + 9) \times C(3)))$
$4123 := (C(3) + C((2+14)))$
$4128 := (8 \times (C(C(2)) + (1 \times 4)))$
$4161 := ((C(16) + 1) + C(4))$
$4224 := ((C(4) \times 2) + C((2^4)))$
$4225 := ((C(5) + C((C(2) + C(2)))) + (4))$
$4275 := (5 \times (C(7) + C((2 \times 4))))$
$4285 := ((C(5) + C((8 \times 2))) + C(4))$
$4288 := (8 \times (C(8) + (24)))$
$4329 := (9 \times (C(C(2)) - (C(3) + (4))))$

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4368 := $((8\times 6)\times (C(3)+C(4)))$
4392 := $((C(2)\times 9)\times (-(3)+C(4)))$
4396 := $((6\times (C(9)+3))+(4))$
4416 := $(((6-1)+C(4))\times C(4))$
4522 := $(2\times (C((C(2)+(5)))+C(4)))$
4528 := $(8\times (C(C(2))+54))$
4536 := $(6\times (C(3)+C((5+4))))$
4589 := $((9\times (C(8)+(5)))-C(4))$
4612 := $(C(C(2))+(C(16)+(4)))$
4657 := $-((C(7)+(-(5)\times C((6+4)))))$
4694 := $(((C(4)+C(9))\times 6)-C(4))$
4697 := $(7\times ((C(9)+(6))-C(4)))$
4829 := $((C(9)+C((2\times 8)))+(4))$
4833 := $((C(C(3))/3)-C((8+4)))$
4837 := $(((-(C(7))+C(C(3)))+8)/4)$
4849 := $(C((9+(C(4)/8)))-C(4))$
4864 := $((C(4)-C(6))\times (-(8\times 4)))$
4875 := $(C(5)\times (7+(8\times 4)))$
4889 := $((C(9)+C((8+8)))+C(4))$
4913 := $C((((3+1)+9)+4))$
4917 := $(C(((7+1)+9))+(4))$
4941 := $(C(14)+C((9+4)))$
4948 := $(((C(8)-(4))+C(9))\times 4)$
4964 := $((C(C(-((4-6))))+(C(9)))\times 4)$
4967 := $(((C(7)+C(6))\times 9)-C(4))$
5125 := $(((5\times C(2))+1)\times C(5))$
5129 := $(C((9+C(2)))+(C((1+5))))$
5242 := $-((C(2)-(42\times C(5))))$
5245 := $((C(5)\times 42)-(5))$
5324 := $(4\times C(((2\times 3)+5)))$
5376 := $((6\times 7)\times (3+C(5)))$
5445 := $((C(5)-(4))\times 45)$
5621 := $((1-C(C(2)))\times (-(6+5)))$
5626 := $(-(6)-(C(C(2))\times (-(6+5))))$
5632 := $(C((2^3))\times (6+5))$
5642 := $((-(2)+C(4))\times (C(6)-C(5)))$
5762 := $(C(C(2))-(-((6\times 7))\times C(5)))$
5819 := $(((C(9)-1)\times 8)-(5))$
5824 := $((-(C(4))+C(C(2)))\times (8+5))$
5827 := $((C((7+2))\times 8)-(5))$
5829 := $(C((9\times 2))-(8-5))$
5832 := $C((((2+3)+8)+5))$
5837 := $(C(((7+3)+8))+(5))$
5875 := $(C(5)\times (7+(8\times 5)))$
5899 := $(((9+C(9))\times 8)-(5))$
5945 := $(5\times (C(4)-(-(9)\times C(5))))$
5957 := $(C(((7-5)\times 9))+C(5))$
5974 := $(-(4)-(-(7)\times (C(9)+C(5))))$
5985 := $((C(5)+8)\times (9\times 5))$
6012 := $((-(2)-C(10))\times (-6))$
6264 := $(((C(4)-(6))/2)\times C(6))$
6344 := $(C((4+4))+C((3\times 6)))$
6348 := $((C(8)+(4))+C((3\times 6)))$
6399 := $(9\times (C(9)-((3\times 6))))$
6453 := $-((C(C(3))-(((C(5)-(4))\times C(6)))))$
6456 := $(((C(6)\times 5)-(4))\times 6)$
6552 := $((C(2)-C(5))\times (-56))$
6643 := $(C(-((C(3)-46)))-C(6))$
6732 := $(C(-((C(2)-C(3))))-((C(7)-C(6))))$
6783 := $(C((C(3)-8))-(76))$
6853 := $(C(((C(3)+C(5))/8))-(6))$
6859 := $C((9+(5\times (8-6))))$
6865 := $(C(((5+6)+8))+(6))$
6875 := $(C(5)\times (7+(8\times 6)))$
6952 := $((C(C(2))\times (5+9))-C(6))$
6966 := $(((C(6)+C(6))+C(9))\times 6)$
7168 := $(C(8)\times ((6+1)+7))$
7182 := $(2\times ((C(8)+1)\times 7))$
7224 := $((4+C(C(2)))\times (2\times 7))$
7372 := $(C(C(2))+((-(7)+C(3))\times C(7)))$
7488 := $(-(C(8))+C(-((8-(4\times 7)))))$
7538 := $(-(8)+((C(3)-(5))\times C(7)))$
7546 := $(-(6)+(C(4)\times (C(5)-(7))))$
7875 := $(C(5)\times ((7\times 8)+7))$
7937 := $(C((-(7)+C(3)))-((9\times 7)))$
8125 := $(C(5)+C((2+18)))$
8216 := $(C(6)+C((12+8)))$
8224 := $((4^2)\times (2+C(8)))$
8237 := $(C((7\times 3))-(2\times C(8)))$
8376 := $((-(6)-C(7))\times (-(3\times 8)))$

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8583 := $((C((C(3)+8))/5)+8)$
8675 := $(-(5)\times(-(7)+(C(6)\times(-8))))$
8712 := $(C(2)-(-(17)\times C(8)))$
8875 := $(C(5)\times(7+(8\times 8)))$
8936 := $((C(6)\times 39)+C(8))$
9252 := $(C(((C(2)+(5))+C(2)))-9)$
9261 := $C((((1\times 6)\times 2)+9))$
9288 := $(((C(8)+C(8))+C(2))\times 9)$
9317 := $(7\times C(-(((1-3)-9))))$
9396 := $((C((6+9))\times 3)-C(9))$
9425 := $((5+C(2))\times(-(4)+C(9)))$
9477 := $((77-C(4))\times C(9))$
9549 := $(-(9)\times(C(4)+(C(5)\times(-9))))$
9625 := $(C(5)\times(C(2)+69))$
9639 := $((C((9+3))\times 6)-C(9))$
9657 := $((7+(-(5)\times C(6)))\times(-9))$
9773 := $(C((3\times 7))+C(C(-((7-9)))))$
9822 := $(2\times(-(2)+C((8+9))))$
9823 := $(-(3)+(2\times C((8+9))))$
9826 := $((-(6)+C(2))\times C((8+9)))$
9832 := $(2\times(3+C((8+9))))$
9872 := $(C(2)\times((-(7)+C(8))+C(9)))$
9875 := $(C(5)\times(7+(8\times 9)))$
9928 := $(C((8\times 2))+C((9+9)))$

00157 := $-((C(7)-((5\times 100))))$
00248 := $((C(8)-C(4))-200)$
00347 := $(C(7)+(4+(3\times 00)))$
00475 := $((C(5)\times 7)-(400))$
00729 := $C((9+((2^{7})\times 00)))$
00864 := $(4\times C((6+(8\times 00))))$
00875 := $(C(5)\times(7+(8\times 00)))$
01125 := $(C(5)\times(-((2-1)-10)))$
01126 := $((6\times 21)+C(10))$
01135 := $((5\times C(3))+C((1\times 10)))$
01142 := $(C(C(2))+((C(4)-1)\times 10))$
01152 := $(C(C(2))+(C((5-1))\times 10))$
01153 := $((3\times 51)+C(10))$
01163 := $(((C(3)\times 6)+1)+C(10))$
01224 := $((C((4+2))+C(2))+C(10))$
01226 := $(((C(6)+2)+C(2))+C(10))$
01229 := $((C(9)+C(C(2)))-(2+10))$
01236 := $(6\times(C((3\times 2))-10))$
01243 := $((C(3)+C((4+2)))+C(10))$
01283 := $(C(3)-((C(8)/(-2))-C(10)))$
01289 := $(((9+8)^{2})+C(10))$
01321 := $(C((C((1\times 2))+3))-10)$
01324 := $(((4+C(2))\times C(3))+C(10))$
01335 := $(-(5)\times(3-(C(3)\times 10)))$
01337 := $((C(7)-(3+3))+C(10))$
01338 := $(C((8+3))-((3-10)))$
01341 := $(C((14-3))+10)$
01344 := $(C(4)\times((4+C(3))-10))$
01367 := $(C(7)+((6/3)^{10}))$
01375 := $(C(5)\times((7\times 3)-10))$
01385 := $((C(5)\times(8+3))+10)$
01387 := $((7\times C(8))-C((3+10)))$
01407 := $((C(7)+C(04))+C(10))$
01448 := $(((8\times C(4))-C(4))+C(10))$
01458 := $((C(8)-(54))+C(10))$
01488 := $-((C(8)+(-((8/4))\times C(10))))$
01522 := $(C(C(2))+((2\times 5)+C(10)))$
01549 := $((-(9)\times(C(4)-C(5)))+C(10))$
01568 := $-((C(8)-((C(6)\times 5)+C(10))))$
01585 := $(((5+C(8))\times 5)-C(10))$
01593 := $(C(3)\times(9+(5\times 10)))$
01596 := $(-(6)\times((C(9)+(5))-C(10)))$
01597 := $(((-(7)+C(9))-C(5))+C(10))$
01628 := $-((C(8)-((2-C(6))\times(-10))))$
01639 := $(-(9)+((3\times C(6))+C(10)))$
01645 := $(C(5)+((C(4)-C(6))\times(-10)))$
01648 := $(C((8/4))\times(C(6)-10))$
01655 := $(5\times(C((5+6))-C(10)))$
01657 := $-((C(7)-(C(5)\times(6+10))))$
01664 := $(C(4)\times((6\times 6)-10))$
01668 := $((8\times C(6))-(6\times 10))$
01675 := $((5\times(C(7)-(6)))-10)$
01688 := $((8\times 86)+C(10))$
01705 := $((5\times C(07))-10)$
01736 := $((C((6+3))+(7))+C(10))$
01738 := $(C(((8-3)+7))+10)$
01739 := $((C(9)+C((3+7)))+10)$
01744 := $(((4+4)\times C(7))-C(10))$
01745 := $(-(5)\times((4-C(7))-10))$

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01764 := $(-(4) \times ((C(6) + C(7)) - C(10)))$
01874 := $(((4 \times C(7)) + C(8)) - 10)$
01924 := $((-(4) \times (-(2) - C(9))) - C(10))$
01928 := $(8 \times (C(C(2)) + (C(9) - C(10))))$
01943 := $(C(3) - ((-(4) \times C(9)) + C(10)))$
01944 := $((C((C(4) - (4))) \times 9)/C(10))$
01973 := $-((C(3) + ((7 - 9) \times C(10))))$
02157 := $-((C(7) - (C(5) \times (1 \times 20))))$
02176 := $(C((6 + 7)) - (1 + 20))$
02177 := $(C(((7 + 7) - 1)) - (20))$
02263 := $-(((C(C(3)) + (6)) - C((C(2) + (20)))))$
02269 := $-((C(C((9 - 6))) - C((C(2) + (20)))))$
02357 := $-((C(7) - ((5 \times C(3)) \times 20)))$
02389 := $(C(9) + (83 \times 20))$
02455 := $-((C(5) - ((C(5) + (4)) \times 20)))$
02492 := $-((C(2) - (C((9 - 4)) \times 20)))$
02495 := $(-(5) + (C((9 - 4)) \times 20))$
02512 := $-((C(2) + ((-(1) - C(5)) \times 20)))$
02515 := $(-(5) - ((-(1) - C(5)) \times 20))$
02545 := $(C(5) + ((4 - C(5)) \times (-20)))$
02568 := $(8 \times ((C(6) + C(5)) - (20)))$
02576 := $(C(6) - ((7 - C(5)) \times 20))$
02737 := $(-(7) + C((C(3) + ((7 - 20)))))$
02744 := $C((((4/4) - 7) + 20))$
02764 := $(-((4^{6})) - (C(7) \times (-20)))$
02788 := $((8 \times (8 + C(7))) - (20))$
02852 := $(C(C(2)) + ((C(5) - 8) \times 20))$
02857 := $-((C(7) + (C((5 \times 8))/(-20))))$
02935 := $(((5 \times 3) \times C(9)) - C(20))$
02943 := $(C(3) + (4 \times C((9 + (2 \times 0)))))$
03226 := $((C((6 + C(2))) + C(C(2))) - (30))$
03268 := $(86 \times (C(2) + (30)))$
03286 := $((C((6 + 8)) + C(C(2))) + (30))$
03426 := $((C(6) \times (2^{4})) - (30))$
03453 := $((C(3) \times (C(5) + (4))) - (30))$
03458 := $((8 + C(5)) \times (-(4 - 30)))$
03469 := $((C((9 + 6)) + C(4)) + (30))$
03486 := $((6 \times (C(8) + C(4))) + (30))$
03526 := $-(((C(6) + C(2)) - (C(5) \times 30)))$
03557 := $-((C(7) + ((5 + C(5)) \times (-30))))$
03562 := $-((C(2) + ((6 - C(5)) \times 30)))$
03565 := $(-(5) - ((6 - C(5)) \times 30))$
03723 := $(-(C(3)) - (C(-((2 - 7))) \times (-30)))$
03756 := $(C(6) - ((C(5) - (7)) \times (-30)))$
03928 := $(8 \times (C(C(2)) + ((9 - 30))))$
03963 := $((C((C(3) + (6)))/9) - (30))$
04113 := $(3 \times (C(11) + 40))$
04125 := $-((C(5) \times (C(2) - (1 + 40))))$
04394 := $(C((4 + 9)) + C(-((C(3) - 40))))$
04396 := $((6 \times (C(9) - 3)) + 40)$
04537 := $-((C(7) - ((3 - C(5)) \times (-40))))$
04575 := $(-(5) \times ((-(7) \times C(5)) - 40))$
04762 := $(((C(2) + (6)) \times C(7)) - 40)$
04855 := $-((C((5 \times 5)) + (C(8) \times (-40))))$
04864 := $((C(4) - C(6)) \times (8 - 40))$
04873 := $((C((C(3) + (7)))/8) - 40)$
04875 := $(C(5) \times ((7 - 8) + 40))$
04913 := $C(((3 \times 19) - 40))$
04924 := $((4 \times (C(C(2)) + (C(9)))) - 40)$
04953 := $(C(((3 + 5) + 9)) + 40)$
05184 := $(C(4) \times (81 + (5 \times 0)))$
05244 := $((C(C(4)) + ((C(4) - C(2))))/50)$
05395 := $(5 \times (C(9) + (350)))$
05424 := $(-(C(4)) + (2 \times C((C(4) - (50)))))$
05521 := $-((C((1 + C(2))) + (C(5) \times (-50))))$
05529 := $-(((C(9) - C(2)) + (C(5) \times (-50))))$
05697 := $((-(7) \times C(9)) + (C(6) \times 50))$
05789 := $((C(9) \times 8) + ((7 - 50)))$
05882 := $(C(((2 + 8) + 8)) + (50))$
06292 := $((2 + 9) \times (C(C(2)) + (60)))$
06384 := $(-(4) \times ((C(8) \times (-3)) - (60)))$
06655 := $(5 \times C(((5 + 6) + (6 \times 0))))$
06919 := $(C(((9 + 1) + 9)) + (60))$
06952 := $-((C(2) - ((C(5) - 9) \times 60)))$
06955 := $(-(5) + ((C(5) - 9) \times 60))$
07192 := $(C(2) \times (C(9) + 170))$
07435 := $-((C(5) + (C(3) \times (-(4 \times 70)))))$
07657 := $-((C(7) + (C(5) \times (6 - 70))))$
07894 := $(C(4) + (9 \times 870))$
08064 := $(C(4) + C(-((60 - 80))))$
08352 := $(C(C(2)) - ((C(5) - C(3)) \times (-80)))$
08545 := $(((5 + C(4)) \times C(5)) - (80))$
08575 := $((5 \times C(7)) \times (5 + (8 \times 0)))$
08658 := $((8 - C(5)) \times (6 - 80))$
09263 := $(C((C(3) - (6))) + (2 + (9 \times 0)))$

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09351 := $(C((-((1+5))+C(3)))+(90))$
09387 := $(((C(7)+8)\times C(3))-(90))$
09863 := $(C((C(3)-(6)))+(C(8)+(90)))$

10125 := $(C(5)\times((C(2)\times 10)+1))$
10221 := $(((1-C(C(2)))\times(-20))+1)$
10245 := $(-(5)\times((-(4)\times C(C(2)))-01))$
10248 := $(8\times((C(4)\times 20)+1))$
10522 := $((C(22)-C(5))-01)$
10639 := $(-(9)+C((C(3)-(6-01))))$
10647 := $(C(((7\times 4)-6))-01)$
10648 := $(8\times C(((4+6)+01)))$
10653 := $(C((C(3)-(5)))+(6-01))$
10875 := $(C(5)\times((7+80)\times 1))$
10935 := $((5\times 3)\times C((9\times 01)))$
11011 := $(1+C(10))\times 11$
11025 := $((C(5)-(20))^{1+1})$
11125 := $(C(5)\times((C(2)\times 11)+1))$
11224 := $((C(4)+C(C(2)))+C((2\times 11)))$
11235 := $(((C(5)+C(C(3)))/2)+(C(11)))$
11253 := $(((C(3)-(5))\times C(C(2)))-11)$
11264 := $(((4\times 6)-2)\times C(C((1+1))))$
11285 := $((C(5)+C(8))+C((2\times 11)))$
11348 := $((C(8)+C((-(4)+C(3))))-(C(11)))$
11392 := $(C(2)\times(93+C(11)))$
11439 := $((-(C(9))+C((C(3)-(4))))+(1\times 1))$
11584 := $-((C(4)+(-(8)\times(C(5)+C(11)))))$
11637 := $(C((7\times 3))+(C(6)\times 11))$
11648 := $((-(8)+C(4))\times(C(6)-C((1+1))))$
11663 := $((C(3)\times(C(6)+C(6)))-(1\times 1))$
11664 := $(C(((4\times 6)-6))\times(1+1))$
11683 := $(C(C(3))-(C((8+(6\times(1+1))))))$
11718 := $((8-1)\times(C(7)+C(11)))$
11773 := $(C((C(3)-(7)))+(C(7)\times 11))$
11791 := $(-(1)-((C(9)+C(7))\times(-11)))$
11875 := $(C(5)\times(7+(8\times 11)))$
11889 := $((C(9)+C(8))+(8\times C(11)))$
11914 := $-(((C(4)+1)+(-(9)\times C(11))))$
11915 := $-((C((5-1))+(-(9)\times C(11))))$
11952 := $-((C(-((2-5)))-(9\times C(11))))$
11971 := $(-((1+7))-(-(9)\times C(11)))$
11978 := $(-((8-7))-(-(9)\times C(11)))$
11979 := $(9\times C(-((7-(9\times(1+1))))))$

12125 := $(C(5)\times((C(2)\times 12)+1))$
12146 := $(C(((6\times 4)-1))-(21))$
12164 := $(C(((4\times 6)-1))-(2+1))$
12167 := $C((((7-6)+1)+21))$
12168 := $(C((((8+6)+1)+C(2)))+1)$
12223 := $((((-(3)\times C(C(2)))+C(2))\times(-C(2)))-1)$
12224 := $(-(C(4))+(C(C(2))\times(C(2)\times(2+1))))$
12231 := $(C((1+3))+C((2+21)))$
12232 := $((C(23)+C((2+2)))+1)$
12234 := $((C(4)+3)+C((2+21)))$
12246 := $(-(6)\times((-(4)\times C(C(2)))+(C(2)-1)))$
12264 := $((-((4^6))+C(2))\times(-(2+1)))$
12282 := $((-(2)+C((8\times 2)))\times(2+1))$
12283 := $((3\times(C((8\times 2))-2))+1)$
12284 := $(-(4)-(C((8\times 2))\times(-(2+1))))$
12285 := $(-((5-8))\times(C((C(2)+C(2)))-1))$
12296 := $(((C(6)/9)\times C(C(2)))+C((2\times 1)))$
12312 := $((C(C(2))+1)\times(3+21))$
12323 := $(C(3)+(C(2)\times((3\times C(C(2)))+1)))$
12328 := $(8\times(C(C(2))+(3\times C((C(2)-1)))))$
12339 := $(-(C(9))-(C(3)\times((C(3)-C(C(2)))+1)))$
12347 := $((C(7)\times(4+32))-1)$
12348 := $(C(84)/(C(3)+(21)))$
12352 := $(C(2)\times(5+(3\times(C(C(2))+1))))$
12364 := $(-(4)\times((-(6)\times(3+C(C(2))))-1))$
12365 := $(-(C((5\times 6)))-((C(C(3))\times(-2))+1))$
12368 := $(8\times((C(6)+C((3+C(2))))-1))$
12375 := $(C(5)\times(((7+3)^2)-1))$
12376 := $((C(6)-(7))+C(((3\times C(2))-1)))$
12383 := $((C(3)\times 8)+C(((3\times C(2))-1)))$
12384 := $((4+C(8))\times(3+21))$
12385 := $(((C(5)-C(8))\times(-32))+1)$
12392 := $(((C(2)+9)\times C((3^2)))-1)$
12393 := $(C(C(3))+(C(9)\times(-((3^2)+1))))$
12426 := $((C(6)+2)\times((C(4)-C(2))+1))$
12467 := $((-((C(7)-(6)))+C(C(4)))/21)$
12473 := $(((C(3)\times 7)\times(C(4)+2))-1)$
12474 := $-(((C(C(4))+(7))-C((C(4)+(2-1)))))$
12501 := $(((10^5)/C(2))+1)$
12544 := $(C(4)\times(((C(4)+C(5))+C(2))-1))$
12625 := $-((C(5)\times(C(2)-((C(6)/2)+1))))$
12636 := $(C(((6+3)+6))+C(21))$

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12655 := $(-(5)\times((-(5)\times(-(6)+C(C(2))))-1))$
12691 := $(C(19)+C((6\times(2+1))))$
12742 := $((C((C(2)\times 4))-C(7))-C(C((2+1))))$
12743 := $((C(3)\times 472)-1)$
12768 := $((-(8)-C(6))\times((-(7)\times C(2))-1))$
12799 := $((((9+9)+7)\times C(C(2)))-1)$
12823 := $(C((3\times C(2)))-((C((8+2))+1)))$
12825 := $((5^2)\times(C(8)+(2-1)))$
12832 := $((C(2)+C(C(3)))-C((-(8)+C((2+1)))))$
12833 := $((C(C(3))-C((C(3)-8)))+(C(2)+1))$
12855 := $(-(5)\times((-(5)\times(C(8)+2))-1))$
12864 := $(C(4)\times(C(6)-((8\times 2)-1)))$
12896 := $(C(((6+9)+8))+C((C(2)+1)))$
12994 := $((C(4)-(9\times C(9)))\times(-(2\times 1)))$
12997 := $(((7-C(9))\times(-(9\times 2)))+1)$
13084 := $((C((4\times 8))-C(C(03)))-1)$
13122 := $(2\times((2+1)^{C(3-1)}))$
13123 := $(((3^{C(2)})\times(-(1-3)))+1)$
13125 := $(C(5)\times((C(2)\times 13)+1))$
13167 := $((7-C(6))\times(1-C((3+1))))$
13168 := $(8\times((61\times C(3))-1))$
13182 := $(-((2-8))\times C((13\times 1)))$
13196 := $((-(6)\times(C(9)+1))+C((C(3)-1)))$
13225 := $(((C(5)-C(2))-2)^{3-1})$
13232 := $(-(2)-((3-C(C(2)))\times(C(3)-1)))$
13237 := $(-(C(7))-((C(3)-C(C(2)))\times(C(3)+1)))$
13244 := $((-(4)-C(4))-(C(C(2))\times(-(C(3)-1))))$
13248 := $((C(8)+C(4))\times(23\times 1))$
13249 := $(((-(9)\times C(4))\times(-23))+1)$
13256 := $((C(6)\times(-5))-(C(C(2))\times(-(C(3)+1))))$
13273 := $(((C((C(3)+(7)))+C(C(2)))/3)+1)$
13285 := $-((C(-((5-8)))+(C(C(2))\times(-(C(3)-1)))))$
13311 := $(-(1)+((-(1)+C(3))\times C(C((3-1)))))$
13312 := $(C(2)\times((-(1)+C(3))\times C((3+1))))$
13313 := $-(((C(C((3-1)))-C((C(3)-3)))-1))$
13338 := $((C(8)+(3/3))\times(C(3)-1))$
13339 := $-(((C((-(9)+C(3)))-C(C(3)))+C(C((3-1)))))$
13357 := $((-((C(7)+C(5)))+C((C(3)-3)))+1)$
13375 := $(C(5)\times(((7-3)\times C(3))-1))$
13376 := $((C(6)-(7))\times C(-((C(3)-(31)))))$
13377 := $(C(7)\times((7+33)-1))$
13382 := $-((C(2)-((C(8)+3)\times(C(3)-1))))$
13385 := $(-(5)+((C(8)+3)\times(C(3)-1)))$
13392 := $((-(2)\times C((9-3)))\times(-31))$
13427 := $(((C(7)+C((C(2)\times 4)))-C(C(3)))-1)$
13466 := $((((C(6)-(6))\times C(4))+C(3))-1)$
13468 := $((((C(8)+(6))\times C(4))-C(C(3)))-1)$
13469 := $((C((9+6))\times 4)-(31))$
13472 := $((C((C(2)+(7)))\times 4)-(C(3)+1))$
13496 := $((C((6+9))\times 4)-(3+1))$
13504 := $(-(4)\times((0-C((5\times 3)))-1))$
13526 := $((((C(6)/2)\times C(5))+C(3))-1)$
13529 := $(C(9)-(C(C(2))\times(-(5^{3-1}))))$
13532 := $((C(2)+C((3\times 5)))\times(3+1))$
13557 := $((7^5)-(C(5)\times(C(3)-1)))$
13564 := $(C(4)-(C((6\times 5))/(-(3-1))))$
13567 := $((C(7)\times(-6))+C((5^{3-1})))$
13625 := $(C(5)\times((-(2)-C(6))/(-(3-1))))$
13631 := $(-(1)-((3-C(6))\times C((3+1))))$
13632 := $(C(2)\times((-(3)+C(6))\times C((3-1))))$
13634 := $((C(4)\times(-(3)+C(6)))+(3-1))$
13636 := $(((63\times C(6))+C(3))+1)$
13638 := $(C((8\times 3))-(6\times 31))$
13657 := $(-(7)\times((5^6)-C((C(3)-1))))$
13662 := $((C((2+6))-(6))\times C((3\times 1)))$
13663 := $((C(3)\times(-(6)+C(C((6/3)))))+1)$
13682 := $(((C((2+8))\times(-6))+C(C(3)))-1)$
13694 := $((C((4+9))\times 6)+C(C((3-1))))$
13715 := $(-(5)\times(1-C((7\times(3-1)))))$
13722 := $(2\times(2+C(((-(7)+C(3))-1))))$
13732 := $((C(-((C(2)-C(3))))+(7))\times(3-1))$
13735 := $(-(5)\times(-(3)-C((7\times(3-1)))))$
13736 := $((-(C(6))-C((C(3)-(7))))+C((C(3)+1)))$
13742 := $(((C(C(2))+((4-7)))\times C(3))-1)$
13743 := $(-((3^4))+C(-((7-31))))$
13752 := $(C(2)\times((5\times C(7))+(3+1)))$
13761 := $(((-(1)+C(6))\times C((7-3)))+1)$
13768 := $(((8\times C(6))-(7))\times C((3-1)))$
13793 := $(C((3\times C((9-7))))-31)$
13796 := $(C((C(6)/9))-(7\times(3+1)))$
13798 := $((C(((8+9)+7))-C(3))+1)$
13816 := $(C((6+18))-C((3-1)))$
13817 := $(-(7)+C(((1-8)+31)))$
13818 := $((-((8-1))+C((8\times 3)))+1)$

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13821 := $(-((1+2))+C(((8\times3)\times1)))$
13822 := $(-(2)+C(((28-3)-1)))$
13826 := $((-(6)+C(2))+C(((8\times3)\times1)))$
13828 := $((8/2)+C(((8\times3)\times1)))$
13831 := $((-(1)+C((3\times8)))+C((3-1)))$
13832 := $(C(2)+(((3\times8)^3)\times1))$
13833 := $((3\times3)+C(((8\times3)\times1)))$
13834 := $(C(4)+(C(3)\times(C(8)-(3-1))))$
13842 := $(((C(24)-8)+C(3))-1)$
13845 := $(((5\times4)+C((8\times3)))+1)$
13848 := $(8\times(C((4+8))+(3\times1)))$
13851 := $(((1^5)+C(8))\times C((3\times1)))$
13852 := $((C(((2^5)-8))+C(3))+1)$
13867 := $(((7\times6)+C((8\times3)))+1)$
13869 := $(9\times(6+((C(8)\times3)-1)))$
13875 := $(-(5)\times((C(7)\times(-8))-(31)))$
13879 := $((((9-7)+C(8))\times C(3))+1)$
13888 := $((8\times8)+C(((8\times3)\times1)))$
13896 := $(C((C(6)/9))+(8+C((3+1))))$
13955 := $(-(5)\times(C(5)+(C(9)\times(-(3+1)))))$
13958 := $(((C(8)+(5))\times(9\times3))-1)$
13986 := $((6+C(8))\times((9\times3)\times1))$
14125 := $(C(5)\times((C(2)\times14)+1))$
14165 := $(C(5)-(C(6)\times(-(1)-C((4\times1)))))$
14167 := $(C(7)+C((((6\times1)\times4)\times1)))$
14168 := $((C(8)-(6))\times(1+C((4-1))))$
14227 := $((C(7)+(2+2))\times41)$
14256 := $(C(6)\times((5^2)+41))$
14282 := $(C(C(2))+(((C(8)-2)\times C((4-1)))))$
14283 := $(C(3)\times(C(8)+((2^4)+1)))$
14287 := $(-(7)\times(((C(8)-2)\times(-4))-1))$
14297 := $-((C(7)-((((9+2)^4)-1))))$
14328 := $(C(8)+(C(2)\times(C((3\times4))-1)))$
14332 := $((C(C(2))+C((C(3)-3)))-(4\times1))$
14336 := $(C(C((6/3)))+C((C(3)-(4-1))))$
14364 := $(4\times(C(6)+C((3\times(4+1)))))$
14365 := $((5+(6^3))\times(C(4)+1))$
14375 := $((C(5)-(7+3))\times C((4+1)))$
14399 := $(((9+C((9-3)))\times C(4))-1)$
14463 := $((((C(3)\times6)+C(4))\times C(4))-1)$
14466 := $(-(6)+(C(6)\times(C(4)+(4-1))))$
14495 := $(-(5)\times(((C(9)-(4))\times(-4))+1))$
14499 := $(((-((9\times9))\times C(4))+C(C((4-1)))))$
14553 := $(C(C(3))+(-(5)-(C(5)\times41)))$
14558 := $(C(C((8-5)))-(C(5)\times41))$
14559 := $((((C(9)\times5)-(5))\times4)-1)$
14573 := $(C(C(3))+(-(7)\times(C((5+4))+1)))$
14581 := $((C((1+8))\times(5\times4))+1)$
14593 := $(((-(3)-(C(9)\times5))\times(-4))+1)$
14616 := $((C(6)+(16))\times(C(4)-1))$
14624 := $(C(4)+((C(2)+C(6))\times(C(4)+1)))$
14625 := $(C((5^2))-C(((6+4)\times1)))$
14637 := $((C(7)\times3)+(C(6)\times(C(4)-1)))$
14642 := $((((2+C(4))/6)^4)+1)$
14671 := $(-(17)\times((C(6)\times(-4))+1))$
14678 := $(((C(8)+C(7))+C((6\times4)))-1)$
14685 := $(C(5)-((-(8)-C(6))\times(C(4)+1)))$
14689 := $((((9+8)\times C(6))\times4)+1)$
14695 := $(-(5)\times(((C(9)+(6))\times(-4))+1))$
14768 := $((8-C(6))\times(-(7)-C((4\times1))))$
14771 := $((-(C(17))+C(C((7-4))))+1)$
14784 := $-((C(4)+(C(8)\times(-((7\times4)+1)))))$
14791 := $((-(1)+C(9))+(C(7)\times41))$
14796 := $(C(6)-(C(9)\times(7-C((4-1)))))$
14848 := $(C(8)\times(((4\times8)-4)+1))$
14875 := $(C(5)\times(78+41))$
14892 := $((C(C(2))+(C(9)))\times((8+4)\times1))$
14893 := $((3\times((C(9)+C(8))\times4))+1)$
14895 := $((C(5)-C((9+8)))+C(C((4-1))))$
14923 := $(C((C(3)-2))-(C(9)-C((4-1))))$
14986 := $((C(6)-C((8+9)))+C(C((4-1))))$
15093 := $(C(C(3))-(90\times51))$
15125 := $(C(5)\times((C(2)\times15)+1))$
15157 := $((C(7)-((C(5)-1)\times C(5)))\times(-1))$
15238 := $-((C(8)-(C((3+2))\times(C(5)+1))))$
15246 := $(-(6)\times(((-(4)+C(C(2)))\times(-5))-1))$
15264 := $((-(4)+C(6))\times(C(2)+C((5-1))))$
15276 := $((-(6)-C(7))+C((25\times1)))$
15281 := $-((C(-((1-8)))-(C(25)-1)))$
15309 := $(C(9)\times(C(03)-(5+1)))$
15336 := $(((C(6)-3)/3)\times C((5+1)))$
15365 := $(-(5)\times((-(6)\times C((3+5)))-1))$
15366 := $(-(6)\times((C(C((6/3)))\times(-5))-1))$
15367 := $((C(7)-C(6))\times((-(3)+C(5))-1))$

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15372 := $((C(-((2-7)))-3)\times(C(5)+1))$
15376 := $-((((C(6)-C(7))+3)\times(C(5)-1)))$
15424 := $(C(4)\times((2\times(-(4)+C(5)))-1))$
15426 := $((C(6)\times(C(2)+C(4)))-(C(5)+1))$
15433 := $(C(C(3))+(-(34)\times C((5\times 1))))$
15434 := $((C((4+3))\times 45)-1)$
15472 := $-((C(C(2))+(-(74)\times C((5+1)))))$
15473 := $((((C(C(3))-C(7))\times(-4))/(-5))+1)$
15486 := $(-(6)\times(((C(8)+(4))\times(-5))-1))$
15488 := $(C(88)/(45-1))$
15492 := $-((C(2)-(C((9-4))\times(C(5)-1))))$
15495 := $(-(5)+(C((9-4))\times(C(5)-1)))$
15525 := $((5^2)+(C(5)\times(C(5)-1)))$
15526 := $-(((C(6)+C(2))-(C(5)\times(C(5)+1))))$
15533 := $(33+(C(5)\times(C(5)-1)))$
15534 := $(((C(4)+C(3))-C((5\times 5)))\times(-1))$
15543 := $((-((3^4))+C((5\times 5)))-1)$
15544 := $(44+(C(5)\times(C(5)-1)))$
15551 := $(((-(1)+C(5))\times C(5))+(51))$
15552 := $((-((2-5))^5)\times C((5-1)))$
15555 := $(55+(C(5)\times(C(5)-1)))$
15561 := $(C(-(((1-6)\times 5)))-C((5-1)))$
15566 := $(66+(C(5)\times(C(5)-1)))$
15577 := $((-((7\times 7))+C((5\times 5)))+1)$
15588 := $(88+(C(5)\times(C(5)-1)))$
15599 := $(99+(C(5)\times(C(5)-1)))$
15617 := $((-(7)+C(-(((1-6)\times 5))))-1)$
15618 := $((-(8)+C(-(((1-6)\times 5))))+1)$
15619 := $(C((9+16))-(5+1))$
15621 := $(C(-((1-26)))-(5-1))$
15623 := $(C((C(3)-2))-((6-5)+1))$
15624 := $(C(((4+26)-5))-1)$
15626 := $(C((((6^2)-6)-5))+1)$
15629 := $(((-(9)-C(C(2)))\times(-(6\times 5)))-1)$
15653 := $((C(3)+C(((5\times 6)-5)))+1)$
15686 := $((6-C(8))\times(-((6\times 5)+1)))$
15723 := $(-(C(3))-(C(-((2-7)))\times(-(C(5)+1))))$
15748 := $-((((C(8)-(4^7))+C(5))-1))$
15752 := $((C(25)+C(7))-C((5+1)))$
15782 := $((-(2)\times C(8))+((7^5)-1))$
15848 := $(-(C((8+4)))+C((C((8-5))-1)))$
15875 := $(C(5)\times((-((7-8))+C(5))+1))$
15884 := $(-(4)\times((C(8)\times(-8))+C((5\times 1))))$
15936 := $((6-(C(3)\times(-9)))\times C((5-1)))$
15952 := $-((C(C(2))-(C((5+9))\times(5+1))))$
15993 := $(C(C(3))-((9+C(9))\times(5\times 1)))$
16125 := $(C(5)\times((2^{1+6})+1))$
16138 := $((C(8)+C((31-6)))+1)$
16224 := $((C(4)/2)\times(C(C(2))-(6-1)))$
16243 := $(C(C(3))-((4^2)\times(C(6)-1)))$
16253 := $(C(C(3))-((5\times 2)\times C((6+1))))$
16255 := $(-(5)\times((C(5)\times(-26))-1))$
16275 := $((-(5)\times(-(7)-C(2)))\times(C(6)+1))$
16285 := $(-(5)\times((-(C(8))-C((C(2)+(6))))-1))$
16355 := $(C((5\times 5))+(((3^6)+1)))$
16369 := $((-(C((9+6)))+C(C(3)))+(61))$
16375 := $(C(5)\times(((C(7)+3)-C(6))+1))$
16379 := $(((-(9)\times C(7))+C(C(3)))-(C(6)+1))$
16382 := $(-(2)+(C(8)\times(C(3)+(6-1))))$
16395 := $(-(5)\times((9-C(C(3)))/(6\times 1)))$
16441 := $(((C(14)-(4))\times 6)+1)$
16443 := $(C(3)\times((-(4)\times(C(4)-C(6)))+1))$
16444 := $(C(4)-(4-(4^{6+1})))$
16445 := $((C(5)-C(4))+(4^{6+1}))$
16448 := $(C((8-4))+(4^{6+1}))$
16463 := $((C(((3\times 6)-4))\times 6)-1)$
16464 := $(C(((4+6)+4))\times(6\times 1))$
16465 := $((C((56/4))\times 6)+1)$
16487 := $((((C(7)\times 8)+(4))\times 6)-1)$
16489 := $((9\times((C(8)\times 4)-C(6)))+1)$
16492 := $(((C(2)\times 9)+(4))\times(C(6)+1))$
16522 := $(-(22)\times((C(5)\times(-6))-1))$
16553 := $(C(C(3))-(((5^5)+6)-1))$
16557 := $(((7^5)-C(5))-C((6-1)))$
16558 := $(C(C((8-5)))-(5^{6-1}))$
16569 := $((C(9)+C(6))+((5^6)-1))$
16592 := $(((-((2-9))^5)-C(6))+1)$
16625 := $(C(5)\times((2\times 66)+1))$
16632 := $(((C(2)+3)\times C(6))\times(6+1))$
16653 := $(3\times((C(5)-C(6))\times(-61)))$
16723 := $(C(C(3))-(C((2\times 7))+C((6\times 1))))$
16727 := $(C(7)+(2^{7+6+1}))$
16729 := $(C(9)-(-((2^7))\times C((6-1))))$

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16758 := $((8+C(5))\times((C(7)-C(6))-1))$
16765 := $(-(5)\times(((C(6)+C(7))\times(-6))+1))$
16773 := $-((C(3)+(7-(7^{6-1}))))$
16835 := $((C((5\times 3))-8)\times(6-1))$
16863 := $((C(3)+(6))\times(C(C((8-6)))-1))$
16875 := $(5\times C(((7\times(8-6))+1)))$
16884 := $(-(4)\times((C(8)\times(-8))-C((6-1))))$
16896 := $(C((C(6)/9))+(C(8)\times(6\times 1)))$
16897 := $(((C(7)+9)\times(8\times 6))+1)$
16926 := $((6+(C(2)\times 9))\times(C(6)+1))$
16939 := $(C((9\times 3))-C(((9+6)-1)))$
16943 := $(C(C(3))-(-(4)+C(((9+6)-1))))$
16992 := $((2\times 9)\times((C(9)+C(6))-1))$
17123 := $(C(C(3))+(C(C(2))\times((1-7)+1)))$
17125 := $(C(5)\times((C(2)\times 17)+1))$
17149 := $(((9+41)\times C(7))-1)$
17151 := $((-((1-51))\times C(7))+1)$
17231 := $(C((-(1)+C(3)))+(-(2)-C((7\times 1))))$
17232 := $(C(((C(2)\times 3)+2))-(C(7)+1))$
17233 := $(C((C(3)-(3-2)))-C((7\times 1)))$
17253 := $(C(3)\times((5\times(2^7))-1))$
17375 := $(C(5)\times(((-(7)+C(3))\times 7)-1))$
17396 := $(((C(6)\times(-9))+C(C(3)))-C((7\times 1)))$
17448 := $((C(8)/(-4))+C((C(-((4-7)))-1)))$
17451 := $((-(1)\times C(5))+C((C(-((4-7)))-1)))$
17465 := $((5\times C(6))+((4^7)+1))$
17478 := $((C(8)+(7^4))\times(7-1))$
17479 := $(-(97)+C((C(-((4-7)))-1)))$
17485 := $((-(C((5+8)))+C(C(-((4-7)))))-1)$
17488 := $(-(88)+C((C(-((4-7)))-1)))$
17493 := $(-(3)-(C(9)\times(-(4\times(7-1)))))$
17494 := $(((C(4)-(9+4))\times C(7))+1)$
17496 := $((6\times C(9))\times(-((4-7)-1)))$
17497 := $(-(79)+C((C(-((4-7)))-1)))$
17523 := $(C(C(3))-((2\times 5)\times C((7-1))))$
17528 := $(8\times(C((C(2)+(5)))-(7-1)))$
17557 := $((7^5)+(C(5)\times(7-1)))$
17568 := $(8\times(C(((C(6)-C(5))/7))-1))$
17569 := $((9\times C(6))+(5^{7-1}))$
17575 := $(C(((57+C(5))/7))-1)$
17576 := $C(((((6+7)+5)+7)+1))$
17577 := $(C((((7+7)+5)+7))+1)$
17578 := $(((C(8)\times(7\times 5))-C(7))+1)$
17582 := $(C((2\times(8+5)))+(7-1))$
17623 := $(C(C(3))-(2+(6\times C((7\times 1)))))$
17625 := $(C(C((5-2)))-(6\times C((7\times 1))))$
17626 := $(C(C((6/2)))-((6\times C(7))-1))$
17631 := $(C(C((1\times 3)))-(6\times(C(7)-1)))$
17632 := $((C(2)+C(C(3)))-((6\times C(7))+1))$
17649 := $(9\times(((C(4)+C(6))\times 7)+1))$
17664 := $(C(4)\times((-(66)+C(7))-1))$
17695 := $(((C((5+9))-C(6))\times 7)-1)$
17739 := $(9\times((3^7)-C((7-1))))$
17766 := $(6\times((C(6)+C((7+7)))+1))$
17784 := $(-((4-(8\times 7)))\times(C(7)-1))$
17839 := $((C(9)\times(3\times 8))+C((7\times 1)))$
17885 := $(-(5)\times(8-((C(8)\times 7)+1)))$
17915 := $(-(5)\times((C(-((1-9)))\times(-7))+1))$
17962 := $((C(26)+C(9))-C((7\times 1)))$
18063 := $(C(3)\times(-(60)+C((8+1))))$
18125 := $(C(5)\times((C(2)\times 18)+1))$
18223 := $(C(C(3))+(-(2)+(-(2)\times C((8+1)))))$
18225 := $((5^2)\times C(((2+8)-1)))$
18247 := $((-(7)-C(4))\times(-((2^8)+1)))$
18262 := $(C(26)+(2\times C((8-1))))$
18324 := $(-(4)\times((C(C(2))-3)\times(-(8+1))))$
18352 := $(C(C(-((2-5))))+(C((3+8))\times(-1)))$
18353 := $(C(C(3))-((C((-(5)+C(3)))/8)-1))$
18363 := $(C(C(3))-((C(6)-(3\times C(8)))\times(-1)))$
18375 := $(C(5)\times((7\times 3)\times(8-1)))$
18393 := $(-(3)+((9+C(3))\times(C(8)-1)))$
18396 := $((6\times(9-3))\times(C(8)-1))$
18423 := $((3^2)\times((4\times C(8))-1))$
18426 := $(-(6)\times((-((2+4))\times C(8))+1))$
18431 := $((((-(1)-C(3))+C(4))\times C(8))-1)$
18432 := $(C((2^3))\times(4\times(8+1)))$
18433 := $((((3\times 3)\times 4)\times C(8))+1)$
18438 := $((-(C(8))+C(C(3)))-(4+C((8+1))))$
18439 := $((-(C(9))+C(C(3)))-((4+C(8))-1))$
18468 := $(((8+C(6))+(4))\times 81)$
18479 := $((C(9)-((7^4)\times 8))\times(-1))$
18486 := $((6-(C(8)\times(-4)))\times(8+1))$
18522 := $(2\times C(-(((2-5)\times(8-1)))))$
18545 := $(5\times(C(4)+(5\times C((8+1)))))$

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18549 := $((C(9)+(-(4)\times C(5)))\times 81)$
18553 := $(C(C(3))-(5+(C(5)\times(8+1))))$
18558 := $(C(C((8-5)))-(C(5)\times(8+1)))$
18559 := $(((-(9)\times C(5))+C(C(-((5-8)))))+1)$
18567 := $(((C(7)\times(-6))-(5))\times(-(8+1)))$
18568 := $(-(8)+(C(6)\times(5+81)))$
18576 := $((C((6+7))+C(5))\times(8\times 1))$
18649 := $(((9\times 4)\times(6+C(8)))+1)$
18656 := $((C(6)\times 5)+C(((C(6)/8)-1)))$
18682 := $((-(C((2+8)))+C((C(6)/8)))-1)$
18683 := $(C(C(3))-C((((8-6)+8)\times 1)))$
18724 := $((C(C(4))-C(2))/((7+8)-1))$
18773 := $(C(C(3))-(C(7)+((7\times 81))))$
18837 := $((-(C(7))+C(C(3)))+((8-C(8))+1))$
18893 := $(((3\times C(9))+C(8))\times(8-1))$
18938 := $((-(8)+C(C(3)))-(C(9)+(8\times 1)))$
18943 := $(C(C(3))-((4+C(9))+(8-1)))$
18947 := $(C(C((7-4)))-(C(9)+(8-1)))$
18948 := $(C(8)+(-(4)\times((-(9)\times C(8))-1)))$
18962 := $((26\times C(9))+(8\times 1))$
18963 := $(C(C(3))-(((C(6)-9)+C(8))+1))$
19043 := $(C(C(3))-(C(4)\times(09+1)))$
19125 := $(C(5)\times((C(2)\times 19)+1))$
19172 := $((C(27)+1)-C((9-1)))$
19224 := $(C((4+2))\times(-(2-91)))$
19234 := $((C(4)+C(C(3)))-((2^{9})+1))$
19243 := $(C(C(3))+(((C(4)+C(2))-C((9-1)))))$
19262 := $-(((C(C(2))-C(C((6/2))))-(91)))$
19297 := $(((C(7)+C(9))\times(2\times 9))+1)$
19332 := $((-(C(2))+C(C(3)))-C(-(((3-9)-1))))$
19335 := $((C(5)\times(-3))+(C(3)\times(C(9)+1)))$
19337 := $((C(7)+(3-(3^{9})))\times(-1))$
19354 := $(((C(4)\times(-5))+C(C(3)))-(9\times 1))$
19367 := $-((C(7)-(C((6-3))\times(C(9)+1))))$
19368 := $(((-(8)-C(6))+C(C(3)))-(91))$
19375 := $(C(5)\times(C((7-3))+(91)))$
19383 := $(((C(3)\times 8)-3)\times 91)$
19386 := $((C(6)-C(8))+(((3^{9})-1)))$
19388 := $((-((C(8)+C(8)))+C(C(3)))-(C(9)\times(-1)))$
19396 := $(((C(6)+9)+C(C(3)))-C((9-1)))$
19413 := $(C(C(3))-(C(-((1-4)))\times(9+1)))$
19453 := $(C(C(3))-(((C(5)\times(-4))+C(9))+1))$
19463 := $(C(C(3))-(C(6)-(((4-9)+1))))$
19476 := $((-(C(6))+C(C((7-4))))+(9\times 1))$
19521 := $(C((1+2))\times((-(5)+C(9))-1))$
19533 := $(C(C(3))-((3\times 5)\times(9+1)))$
19539 := $(9\times((3\times(-(5)+C(9)))-1))$
19547 := $((C((7-4))\times(-(5)+C(9)))-1)$
19553 := $(C(C(3))-(C(5)-(((5-9)-1))))$
19554 := $((-(4)-C(5))+C(C(-(((5-9)+1)))))$
19558 := $(C(C((8-5)))-C(-(((5-9)-1))))$
19563 := $(C(C(3))-(C(6)-((5+91))))$
19573 := $(C(C(3))-((-(7)+C(5))-(9-1)))$
19583 := $(C(C(3))-((-(8)\times C(5))/(-(9+1))))$
19584 := $((C(4)+C(8))\times(C(5)-(91)))$
19585 := $-((C(5)-(C((8-5))\times(C(9)+1))))$
19586 := $((-(6)+C(C((8-5))))-(91))$
19613 := $(C(C(3))-((1\times 69)+1))$
19614 := $(C(C((4-1)))-(69\times 1))$
19623 := $(C(C(3))+((C(2)-(69-1))))$
19624 := $((C(4)/(-2))+(C(6)\times 91))$
19627 := $((-(7)\times C(2))+C((C(6)/(9-1))))$
19629 := $(((C(9)-2)\times C(6))/(9-1))$
19643 := $(C(C(3))-(C(4)-(C(6)/(9\times 1))))$
19644 := $(-(4)+(C(4)\times(C(6)+(91))))$
19646 := $(-((6+4))+(C(6)\times 91))$
19648 := $(C((8-4))\times(C(6)+(91)))$
19651 := $(-((1\times 5))+(C(6)\times 91))$
19652 := $((-((2^{5}))+C(C(-((6-9)))))+1)$
19653 := $(C(C(3))-(5+((C(6)/9)+1)))$
19655 := $(-((5/5))+(C(6)\times 91))$
19656 := $(C(6)\times(-((5-6)\times 91)))$
19658 := $(C(C((8-5)))-((C(6)/9)+1))$
19661 := $(-((1-6))+(C(6)\times 91))$
19663 := $(C(C(3))-(((6+6)+9)-1))$
19664 := $(C(-((4-6)))+(C(6)\times 91))$
19665 := $((((C(5)-C(6))\times C(6))-9)\times(-1))$
19668 := $((-((8+6))+C(C(-((6-9)))))-1)$
19669 := $(C(C((9-6)))-((6+9)-1))$
19673 := $(C(((3\times 7)+6))-(9+1))$
19674 := $(C(C(((4-7)+6)))-(9\times 1))$
19675 := $-((C(-((5-7)))-C((C(6)/(9-1)))))$
19681 := $((-((1^{8}))+C(C(-((6-9)))))-1)$
19682 := $((C(2)/(-8))+C((C(6)/(9-1))))$

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19683 := $C(((((3+8)+6)+9)+1))$
19684 := $(C((((4+8)+6)+9))+1)$
19685 := $(C(C(-((5-8))))-(((6-9)+1)))$
19686 := $(C((C(6)/8))-(((6-9)\times 1)))$
19691 := $(-((1-9))+C((C(6)/(9-1))))$
19692 := $(C(2)+(((9-6)^{9})+1))$
19693 := $(C((3^{9-6}))+(9+1))$
19723 := $(C(C(3))-(((2-7)\times(9-1))))$
19738 := $((-(8)+C(C(3)))+((7\times 9)\times 1))$
19739 := $(C((9\times 3))+(7\times(9-1)))$
19743 := $(C(C(3))+(4\times((7+9)-1)))$
19747 := $(C(C((7-4)))+((7\times 9)+1))$
19752 := $(2\times((C(5)\times 79)+1))$
19763 := $(C(C(-((3-6))))+(79+1))$
19766 := $(-(6)-((C((6+7))\times(-9))+1))$
19767 := $(-(7)-((C((6+7))\times(-9))-1))$
19773 := $(C(C(3))-(((7/7)-91)))$
19774 := $(C(C((4-(7/7))))+(91))$
19834 := $-((C(4)-((C(3)\times(8+C(9)))-1)))$
19837 := $(C(7)+(C(3)\times((-(8)+C(9))+1)))$
19855 := $(-(5)\times(C(5)-C(((8+9)-1))))$
19872 := $(27\times((8+C(9))-1))$
19875 := $-((C(5)\times((C(7)-C(8))+(9+1))))$
19925 := $(((C((5-2))\times(9+C(9)))-1)$
19926 := $(C((6/2))\times(9+C((9\times 1))))$
19928 := $(((C(82)-C((9\times 9)))+1)$
19968 := $(((8\times 6)-9)\times C((9-1)))$
20083 := $(C(C(3))+((800/2)))$
20163 := $(C(C(3))+((6\times 10)\times C(2)))$
20164 := $(-C(4)+C(6)-10)^{2}$
20183 := $(C(C(3))+(C(8)-(10+2)))$
20185 := $(C(C(-((5-8))))-(10-C(C(2))))$
20193 := $(C(C(3))+(C((9-1))-02))$
20195 := $(C(C(-(((5-9)+1))))+C(C(02)))$
20196 := $(-((C(6)-C(9)))+C(C((1+02))))$
20203 := $((C(C(3))+C(02))+C(C(02)))$
20223 := $((C(C(3))+C(C(2)))+(20+C(2)))$
20224 := $-((C((4+C(2)))-C((20+C(2)))))$
20377 := $(((C(7)+C(7))+C(C(3)))+C(02))$
20393 := $(C(C(3))+((C(9)-C(3))+C(02)))$
20397 := $(((-(7)+C(9))+C(C(3)))-C(02))$
20424 := $(-(C(4))+((C(C(2))\times 40)+C(2)))$
20443 := $((C(3)-C(4))+(40\times C(C(2))))$
20448 := $(-((8\times 4))+(40\times C(C(2))))$
20453 := $-((C(3)-(5\times C((4^{02})))))$
20455 := $(-(5)\times(5-C((4^{02}))))$
20467 := $(-((7+6))+(40\times C(C(2))))$
20481 := $(-(1)-((C(8)\times(-40))-2))$
20484 := $(-(4)-((C(8)\times(-40))-C(2)))$
20536 := $(((C(6)+C(C(3)))+(C(5)))+C(C(02)))$
20538 := $((C(8)+C(C(3)))+(C((5+02))))$
20539 := $((C(9)+C(C(3)))+((C(5)+02)))$
20683 := $(C(C(3))+C((8+((6\times 0)+2))))$
20762 := $(C(C(2))+(6\times C((7+C(02)))))$
20763 := $(C(C(3))-(C(6)\times(-(7-02))))$
20774 := $(47\times(-(70)+C(C(2))))$
20875 := $(C(5)\times(7+(80\times 2)))$
20932 := $((C(C(2))+C(C(3)))+((C(9)+C(02))))$
21025 := $((C(5)+(20))^{1\times 2})$
21125 := $(C(5)\times((2+11)^{2}))$
21139 := $((C(9)\times(C(3)+(1+1)))-2)$
21184 := $(C(4)\times(C((8-1))-12))$
21223 := $(C((C(3)+(2/2)))-C((1+C(2))))$
21231 := $((C((1+C(3)))+C(2))-C((1+C(2))))$
21246 := $(-(C(6))-(42\times(1-C(C(2)))))$
21248 := $(C(8)-((-(4)-C(2))\times C(12)))$
21263 := $(-(3)-(-(62)\times C((-(1)+C(2)))))$
21267 := $((C(7)\times 62)+(1^{2}))$
21294 := $((C((4+(9\times 2)))-1)\times 2)$
21296 := $(C(((C(6)/9)-2))\times(1\times 2))$
21298 := $(((8\times C((9+2)))+1)\times 2)$
21315 := $((-(C(5))+C((1+C(3))))-C(C((1\times 2))))$
21323 := $(C(3)+(C((23-1))\times 2))$
21367 := $(((C((7+6))+C(C(3)))-1)-C(C(2)))$
21375 := $(C(5)\times(((7^{3})-1)/2))$
21384 := $((C((4+8))+C(C(3)))-C((1+2)))$
21393 := $(C(C(3))+((9-C(3))+C(12)))$
21395 := $((-((5\times 9))+C((C(3)+1)))-C(C(2)))$
21396 := $((-((6+9))+C(C(3)))+C(12))$
21411 := $(C((C((1+1))+(4)))+C(C((1+2))))$
21413 := $((-(C(3))+C((1+C((4-1)))))-C(C(2)))$
21422 := $(((C(22)+C(4))-1)\times 2)$
21423 := $(C(C(3))+(((C(2)+(4))+C(12))))$
21435 := $((5-C((34+1)))/(-2))$

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21439 := $((C(((-(9)-C(3))+C(4)))-1)-C(C(2)))$
21445 := $(5\times(C(4)+((C(4)+1)^2)))$
21475 := $((C((5+7))+C(4))+C(C((1+2))))$
21477 := $(((-(7)+C(7))\times C(4))-C((1+2)))$
21483 := $(C(C(3))+((8+C(4))+C(12)))$
21533 := $(C(C(3))+((-(3)+C(5))+C(12)))$
21535 := $(5\times(C(C(3))-(((C(5)-1)^2))))$
21536 := $(C(C((6-3)))+((C(5)+C(12))))$
21537 := $((-(C(7))+C(C(3)))+C((5+C((1\times2)))))$
21576 := $(((-(6)+C(7))\times C((5-1)))+C(2))$
21627 := $(((7+2)\times C(6))+C(C((1+2))))$
21643 := $(C(C(3))+((C(4)+C(6))\times(-(1)+C(2))))$
21672 := $((C(C(2))+C((7+6)))\times C((1\times2)))$
21683 := $(C(C(3))+((-(8)\times C((6-1)))\times(-2)))$
21724 := $(((4\times C(C(2)))-(7))+C(C((1+2))))$
21736 := $(-(C(6))+C(((C(3)-(7))+C((1\times2)))))$
21743 := $((C(C(3))+C((4+7)))+C((1+C(2))))$
21782 := $(((C(28)+C(7))-1)-C(C(2)))$
21824 := $(C(4)\times(-(2)+C(((8+1)-2))))$
21825 := $(((C(5)-C(28))\times(-1))-2)$
21843 := $(-(3)-((C(C(4))+8)/(-12)))$
21846 := $((C(64)+8)/12)$
21853 := $(C(C(3))+(C((5+8))-C((1+2))))$
21864 := $((C(C(4))+((C(6)+8)))/12)$
21875 := $(C(5)\times((-(7)-C((8-1)))/(-2)))$
21888 := $((C(8)+C((8\times8)))/12)$
21896 := $((C(6)\times(98+1))+C(C(2)))$
21923 := $-(((C(3)-C((29-1)))+2))$
21924 := $(42\times((9+1)+C(C(2))))$
21931 := $(C((1+C(3)))-(9+12))$
21932 := $(C((2+C(3)))-((C(9)+C(12))))$
21933 := $-(((C(3)-C(((3\times9)+1)))-C(2)))$
21934 := $((C(4)+C(C(3)))+(C(9)\times(1+2)))$
21937 := $((-(7)+C(((3\times9)+1)))-C(2))$
21943 := $(C(-(((C(3)-C(4))+9)))-(1+C(2)))$
21944 := $((C(4)+C((4+9)))+C(C((1+2))))$
21946 := $(-(6)+C((((4+9)+1)\times2)))$
21947 := $(C((7\times4))-((9+1)/2))$
21951 := $(-(1)+C((((5+9)\times1)\times2)))$
21954 := $(((4\times C((5+9)))+1)\times2)$
21955 := $(-(5)+((C((5+9))+1)\times C(2)))$
21958 := $((8\times(C((5+9))+1))-2)$
21973 := $((C(3)+((7+9)))\times(-(1)+C(C(2))))$
22024 := $((C(4)+C((20+C(2))))+C(2))$
22113 := $(C(3)\times(C(-((1-12)))-C(C(2))))$
22116 := $(-(6)\times((C(11)+C(C(2)))\times(-2)))$
22125 := $(-(C(5))\times((C((C(2)-1))-C(C(2)))-C(2)))$
22144 := $(C(4)-(-(C(4))\times(C((-(1)+C(2)))+2)))$
22165 := $((C(5)+C(6))\times(1+C((2+2))))$
22168 := $((C((8+6))+C((1+2)))\times C(2))$
22184 := $((C(4)\times(C(8)+1))-C(22))$
22233 := $(C(C(3))+((3+2)\times(C(C(2))-2)))$
22243 := $(C(C(3))+((C(4)+(2^{C(2)}))\times C(2)))$
22245 := $((C(5)+C((C(4)/2)))-C(22))$
22253 := $(C(C(3))+((5\times C(C(2)))+(C(2)+2)))$
22256 := $((C(6)\times(C(5)-(22)))+C(2))$
22272 := $((C(C(2))\times(C(7)-(2^{C(2)})))/2)$
22275 := $(-(5)\times(-(C(7))-((C(C(2))+2)\times C(2))))$
22287 := $((C(7)\times((C(8)+C(2))/C(2)))-C(2))$
22313 := $(C((C(3)+1))+((C(3)-C(2))^2))$
22317 := $((C(7)+C((1+C(3))))+22)$
22337 := $(((-(C(7))-C(C(3)))+C((C(3)+C(2))))-C(C(2)))$
22355 := $(-(5)\times((C(5)\times(-3))-C((C(2)+C(2)))))$
22374 := $((4-C(7))\times(-(3\times22)))$
22375 := $(C(5)\times(((7\times C(3))-C(2))-2))$
22392 := $((C(C(2))\times(-9))+(C((32-2))))$
22394 := $(((C((4+9))+C(C(3)))+2)+C(C(2)))$
22416 := $(((-(6)+C(14))\times C(2))+C(C(2)))$
22427 := $(C((7\times2))+C(C(((4+2)/2))))$
22435 := $(5\times(((3+C(4))^2)-2))$
22453 := $(C(C(3))+(-(5)\times(-(42)-C(C(2)))))$
22457 := $((-(7)+C(((5\times4)+C(2))))+C(C(2)))$
22462 := $(((C((C(2)+(6)))+C(4))\times C(2))-2)$
22464 := $((-(4)\times C(6))\times(-(4+22)))$
22466 := $(-(6)-(((C(6)-(4))^2)/(-2)))$
22468 := $((-(8)+((C(6)-(4))^2))/2)$
22471 := $(((-(1)+C((7\times4)))+C(2))+C(C(2)))$
22472 := $(((C((2\times7))+C(4))\times C(2))+C(2))$
22473 := $(C(C(3))+((C(7)-C(4))\times(C(2)+2)))$
22489 := $(C((9+8))+C((4+22)))$
22519 := $((9\times(-(1)-(-(5)\times C(C(2)))))-C(C(2)))$
22524 := $(-(4)-(C(C(2))\times(-(52)+C(2))))$
22532 := $(((C(C(2))\times(C(3)-(5)))+2)\times2)$
22536 := $(C(6)-((C((C(3)-(5)))+C(C(2)))\times(-2)))$

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22563 := $((C(C(3)) - C(6)) - ((-(C(5)) + C(C(2))) \times (-C(2))))$
22564 := $(C(4) + (((6 \times (5^2))^2)))$
22575 := $((5 \times 7) \times ((C(5) + C(2)) + C(C(2))))$
22599 := $((C(9) - C((9 \times 5)))/(-(2 + 2)))$
22624 := $(-((C(4) - C(2))) \times ((C(6)/2) - C(C(2))))$
22643 := $((C(C(3)) - C(4)) - (-(6) \times (C(C(2)) - C(2))))$
22649 := $(C(9) - ((-(4) + C((6 + C(2)))) \times (-C(2))))$
22679 := $((C(9) + C((7 \times (6 - 2)))) - 2)$
22681 := $(C((1 + 8)) + C((6 + 22)))$
22682 := $(((C(28) + C(6)) + C(C(2))) + 2)$
22683 := $(C(C(3)) + ((C((8 + 6)) + (2^{C(2)}))))$
22689 := $((C(9) + 8) + C((6 + 22)))$
22697 := $(-(C(7)) + ((9 + (6^2)) \times C(C(2))))$
22729 := $(-(C((9 \times 2))) + ((-(C(7)) + C(C(2)))^2))$
22763 := $(C(C(3)) + (((C(6) - C(7)) + C(C(2))) \times C(2)))$
22784 := $(4 \times (C(8) + (72^2)))$
22792 := $(-((2 - 9)) \times (C((7 \times 2)) + C(C(2))))$
22813 := $-((C(C(3)) + (-((1 + 82)) \times C(C(2)))))$
22814 := $(((4 \times C(18)) - C(C(2))) - 2)$
22815 := $(C((5 + 18)) + C(22))$
22849 := $((C(9) + C((4 \times 8))) - C(22))$
22875 := $(C(5) \times (7 + (8 \times 22)))$
22896 := $(((C((6 + 9)) - C(8)) \times C(2)) - C(2))$
22923 := $(C(3) \times ((29^2) + C(2)))$
22932 := $-((C(-((C(2) - C(3)))) - (C((9 + 22)))))$
22935 := $(-(5) \times (3 - (9 \times (C(C(2)) - 2))))$
22942 := $(C((C(2) \times 4)) + (C((9 + C(2))) \times (-2)))$
22944 := $(-(4) \times (((4 - C(9)) + C(2)) \times C(2)))$
22968 := $-((((C(8) - C((6 + 9))) - C(2)) \times C(2)))$
22976 := $-((((C(6) - (C(7) \times 9)) \times C(2)) - C(2)))$
22995 := $((5 \times 9) \times ((-(9) + C(C(2))) + C(2)))$
23087 := $(((C(7) + C(8)) \times C(03)) + 2)$
23104 := $((C((4 + 01)) + C(3))^2)$
23125 := $(-(C(5)) \times ((C((C(2) - 1)) + C(3))/(-2)))$
23134 := $(43 \times ((-(1) + C(3)) + C(C(2))))$
23143 := $(C((C(3) - (4))) + (C((1 + C(3)))/2))$
23168 := $(((8 \times C(6)) + C((1 + C(3)))) - C(C(2)))$
23183 := $(((C((C(3) + 8)) - 1) - C(C(3))) - C(2))$
23193 := $(-(((3^9) - 1)) + C((C(3) + C(2))))$
23194 := $((C(((4 \times 9) - 1)) - C(C(3))) + 2)$
23243 := $(C(C(3)) + (((-(C(4)) + C(C(2))) - 3) \times C(2)))$
23247 := $((-(7) \times (4 - C(C(2)))) + (C(C(3)) + C(2)))$
23256 := $(C(6) + ((-(5) \times C(C(2))) \times (-(3^2))))$
23264 := $-((C(4) - (((6^2)^3)/2)))$
23272 := $(C(2) \times (-(7) + ((2 \times C(3))^2)))$
23273 := $(C(C(3)) + ((7 \times C(C(2))) + (3 \times 2)))$
23275 := $(((5 \times 7)^2) \times (C(3) - C(2)))$
23276 := $(((C(6) + C((7 + C(2)))) + C(C(3))) + 2)$
23283 := $-((C(3) + ((C(8) - C(23)) \times 2)))$
23292 := $((C(C(2)) + (9 - C(23))) \times (-2))$
23293 := $((C((C(3) + 9))/2) - (C(3) + C(2)))$
23324 := $(-(4) + (C(2) \times ((C(3) + C(3))^2)))$
23325 := $(((C(5) + C(2)) - C(C(3))) + C((C(3) + C(2))))$
23332 := $((C(2) + C((3 + 33)))/2)$
23336 := $((C(6) \times ((C(3) \times 3) + C(3))) + C(2))$
23344 := $(-(4) \times (-(4) - C(((3 \times 3) \times 2))))$
23352 := $(((C((2 \times 5)) - C(3)) \times 3) \times C(2))$
23364 := $(4 \times (C((6 \times 3)) + (3^2)))$
23374 := $(((4 - C((-(7) + C(3)))) + C(C(3))) \times 2)$
23375 := $(C(5) \times ((7 \times (3^3)) - 2))$
23389 := $-((C((-((9 + 8)) + C(3))) - C((C(3) + 2))))$
23398 := $((((C(8) + C(9)) \times 3) + C(C(3))) - C(2))$
23424 := $((C(4) + (C(C(2)) \times (4 - C(3)))) \times (-2))$
23436 := $((C(6) + C(((3 \times 4) \times 3)))/2)$
23456 := $(-((6^5)) - (-((C(4) - 3)) \times C(C(2))))$
23463 := $(C(3) \times ((C(6) \times 4) + (3 + 2)))$
23465 := $(((5 - (C(6) \times (-4))) \times C(3)) + 2)$
23475 := $(((C(5) \times 7) + C(4)) \times (C(3) - 2))$
23479 := $((-(9) + C((7 \times 4))) + (3 \times C(C(2))))$
23483 := $(C(C(3)) + ((((C(8) - C(4)) + C(3)) \times C(2))))$
23488 := $((C(((8 + 8) + 4)) \times 3) - C(C(2)))$
23496 := $((((-(6) - C(9)) \times (-4)) - 3) \times C(2))$
23512 := $-(((C(21) - (5)) - C(32)))$
23523 := $(C(C(3)) + ((C(C(2)) - (5 + C(3))) \times C(2)))$
23537 := $(((C(7) + C(35)) - C(C(3))) + 2)$
23544 := $((C(4) + 45) \times C((3 \times 2)))$
23552 := $(C(C(2)) \times (55 - (3^2)))$
23557 := $((7^5) + (C((5 \times 3)) \times 2))$
23563 := $(C(C(3)) - ((C(6) - C(((5 + 3) \times 2)))))$
23569 := $(-(((C(9) + C(6)) - C(5))) + C((C(3) + 2)))$
23579 := $((-(C(9)) - C(C((7 - 5)))) \times (-(C(3) - C(2))))$
23592 := $(((C(2) + C(9)) \times (5 + C(3))) + C(2))$
23611 := $((C(11) \times 6) + C((C(3) - 2)))$
23617 := $((7 \times C(-(((1 - 6) \times 3)))) - C(2))$

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23623 := $((C((3+2)) \times (C(6) - C(3))) - 2)$
23624 := $((-(4) \times ((2 - C(6)) \times C(3))) + C(C(2)))$
23625 := $((5+2) \times C((6 + (3^2))))$
23627 := $((7 \times C(((2 \times 6) + 3))) + 2)$
23633 := $(-((C(3) + ((3^6)))) + C((C(3) + 2)))$
23639 := $(-(((C(9) + C(3)) - (6))) + C((C(3) + 2)))$
23652 := $(C(C(-((2-5)))) + ((63^2)))$
23654 := $(-((C((4+5)) + (6))) + C((C(3) + 2)))$
23657 := $-((C(7) + (C(5) \times (-(6 \times 32)))))$
23659 := $(-((C(9) - ((5-6)))) + C((C(3) + 2)))$
23667 := $(-(7) \times (-(6) - C((6 + (3^2)))))$
23672 := $-(((C(C(2)) - (C((7 \times 6))/3)) + C(C(2))))$
23673 := $((C((C(3) + (7))) - (6)) - C((C(3) - 2)))$
23693 := $(((C(3) - C(9)) + (6)) + C((C(3) + 2)))$
23695 := $(((C(5) + C((9+6))) + C(C(3))) + C(C(2)))$
23716 := $((((C(6) \times (-1)) + C(7)) + C(3))^2)$
23723 := $((C(3) \times (C(2) - C(7))) + C(32))$
23724 := $((C(4) - C((2+7))) + C((C(3) + 2)))$
23733 := $(((-(3) \times C((3 \times 7))) - C(C(3)))/(-2))$
23734 := $((C(4) \times (C(3) + C(7))) + (C(3) \times 2))$
23744 := $(C(4) \times ((-(4) + C(7)) + 32))$
23748 := $((8^4) - (C((7 + C(3)))/(-2)))$
23752 := $-(((C(C(2)) + (C(5))) - C(((7 \times 3) + C(2)))))$
23755 := $(-(C((5 \times 5))) + ((-(7) - C(C(3))) \times (-2)))$
23759 := $((((C(9) + C(5)) + (7)) \times C(3)) + C(C(2)))$
23763 := $(C(C(3)) + (-(6) \times ((C(7) - 3) \times (-2))))$
23764 := $((((4^6) - 7) + C(C(3))) - C(2))$
23765 := $((56 - 7) \times (-(C(3)) + C(C(2))))$
23769 := $(C(9) + (((6 \times 7) + 3) \times C(C(2))))$
23772 := $((((C(C(2)) \times 7) - (7)) + C(C(3))) + C(C(2)))$
23779 := $(((C(C((9-7))) \times 7) + C(C(3))) + C(C(2)))$
23781 := $((C(((1+8)+7)) + C(C(3))) + 2)$
23786 := $(((C(6) + C((8+7))) + C(C(3))) + C(C(2)))$
23788 := $(((C((8+8)) + (7)) + C(C(3))) + 2)$
23789 := $(((C(9) + C((8+7))) + C(C(3))) + 2)$
23793 := $(3 \times ((C(9) + C(7)) + C((C(3) - C(2)))))$
23803 := $(C(C(3)) + ((C(08) + 3) \times C(2)))$
23807 := $((-(70) - C(8)) + C((C(3) + 2)))$
23813 := $(-((C((3+1)) + C(8))) + C((C(3) + 2)))$
23814 := $(-(((C(4) - 1) + C(8))) + C((C(3) + 2)))$
23816 := $((-(61) - C(8)) + C((C(3) + 2)))$
23823 := $(C((C(3) + 2)) - (C(8) + (C(3) \times 2)))$
23824 := $((C(C(4)) + C(2)) - C((8 + (C(3) \times 2))))$
23825 := $((-(52) - C(8)) + C((C(3) + 2)))$
23826 := $(6 \times (C((2 \times 8)) - C((3+2))))$
23827 := $((((7 + C(C(2))) \times 8) + C(C(3))) - C(2))$
23834 := $((-(43) - C(8)) + C((C(3) + 2)))$
23843 := $(C(C(3)) + (C(4) + ((8^3) \times C(2))))$
23852 := $((-(25) - C(8)) + C((C(3) + 2)))$
23856 := $((-(6) - (C(5) \times (-8))) \times (3 \times C(2)))$
23861 := $((-(16) - C(8)) + C((C(3) + 2)))$
23894 := $-((C(4) + ((9 \times C((8+3))) \times (-2))))$
23895 := $((5 \times 9) \times ((C(8) + C(3)) - C(2)))$
23921 := $-(((C(C((1+2))) - (C(9))) - C((C(3) + C(2)))))$
23923 := $(((C((C(3) + C(2))) + (C(9))) - C(C(3))) + 2)$
23927 := $(C(7) - ((C(2) + C(9)) \times (-32)))$
23935 := $(5 \times ((C(C(3)) + (C(9))) - C((C(3) - 2))))$
23953 := $(C(C(3)) - ((C(5) + C(9)) \times (-(3+2))))$
23955 := $(((5 \times (C(5) + C(9))) + C(C(3))) + 2)$
23956 := $((C((6+5)) \times (-(9) + C(3))) - 2)$
23958 := $((C((8-5)) - 9) \times C((3 + C(2))))$
23966 := $((C(66)/(9+3)) + C(2))$
23972 := $(2 \times (7 - (-(9) \times C((3 + C(2))))))$
23976 := $(C(6) \times (79 + 32))$
23984 := $(C((C(4) - 8)) - ((-(C(9)) + C(C(3))) \times C(2)))$
23992 := $((C(((2+9)+9)) \times 3) - C(2))$
24064 := $(C(4) \times ((6 \times C(04)) - C(2)))$
24125 := $(5 \times (C((C(2)+1)) + C((4^2))))$
24137 := $((7 \times C((3 \times (1+4)))) + C(C(2)))$
24139 := $((C(9) \times 3) + C((14 \times 2)))$
24149 := $(C((9+4)) + C((14 \times 2)))$
24157 := $-((C(7) + (C(5) \times (-(14^2)))))$
24167 := $(C((7+6)) \times (-((1-4)) + C(2)))$
24176 := $(((C(6) \times (-7)) + 1) \times (-(4^2)))$
24184 := $((C((4+8)) \times 14) - C(2))$
24192 := $((C(C(2)) + (C((9+1)))) \times (4^2))$
24194 := $((-((4^9)) + C((-(1) + C(4)))) \times (-2))$
24253 := $(-(3) + (((-(C(5)) + C(C(2))) \times C(4)) - C(C(2))))$
24256 := $(C((6 \times 5)) - C(((2^4) - 2)))$
24258 := $((((C(8) - C(5)) - C(2)) \times C(4)) + 2)$
24264 := $((C(C(4)) - (C(62) + C(4))) + C(C(2)))$
24276 := $((6 \times 7) \times (C(C(2)) + (C(4) + 2)))$
24283 := $(C(C(3)) + (((C(8) - C(2)) + C((4^2)))))$
24293 := $(C(C(3)) + ((9 \times C((2 \times 4))) + 2))$

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24318 := $((8-C((C((1\times 3))-(4))))\times(-2))$
24322 := $(((2-C(23))+(4))\times(-2))$
24323 := $((C((32-3))-C(4))-2)$
24325 := $(C((5+(C(2)\times 3)))-C((-(4)+C(2))))$
24326 := $((-((6-2))+C((C(3)-(4))))\times 2)$
24327 := $(-(7)-(C(23)\times(-(4-2))))$
24328 := $(-(8)-((-(2)\times C((C(3)-(4))))-2))$
24329 := $(-(9)-((-(2)-C((C(3)-(4))))\times 2))$
24331 := $(-((1\times 3))-(C((C(3)-(4)))\times(-2)))$
24332 := $((C(23)+((3-4)))\times 2)$
24333 := $(-((3/3))-(C((C(3)-(4)))\times(-2)))$
24334 := $(((-(4)+C(3))^3)\times(4-2))$
24335 := $(-(5)-((-(3)-C((C(3)-(4))))\times 2))$
24341 := $(-(1)-((-(4)-C((C(3)-(4))))\times 2))$
24342 := $((2\times C((-(4)+C(3))))+(4\times 2))$
24346 := $((-(6)-C((-(4)+C(3))))\times(-(4-2)))$
24352 := $(C(2)+((-(5)-C((C(3)-(4))))\times(-2)))$
24354 := $((4\times 5)-(C((C(3)-(4)))\times(-2)))$
24356 := $(((6+5)+C((C(3)-(4))))\times 2)$
24357 := $(C(((7-5)+C(3)))-(C(4)/2))$
24359 := $(-(C(9))-(-((53-4))\times C(C(2))))$
24362 := $(((C(2)+(6))+C((C(3)-(4))))\times 2)$
24375 := $(C(5)\times((7\times C(3))+(4+2)))$
24376 := $((((C(6)-C(7))\times(-3))\times C(4))-C(2))$
24381 := $(C((1+((8\times 3)+4)))-C(2))$
24384 := $((-(4)+C(8))\times(3\times(4^2)))$
24385 := $((C((5+(8\times 3)))+(4))-C(2))$
24387 := $(C(((7\times 8)-C(3)))-(4-2))$
24388 := $(-((8/8))+C((C(3)+(4-2))))$
24389 := $C(((9\times(8-3))-(4^2)))$
24391 := $(C(((1\times 93)-C(4)))+2)$
24392 := $(C(29)-(((3-4)-2)))$
24394 := $(-((4-9))+C((C(3)+(4-2))))$
24397 := $(C(((7\times 9)-34))+C(2))$
24423 := $(C((C(3)+2))+((C(4)+(4))/2))$
24432 := $((C(C(2))-3)\times(C(4)-((4^2))))$
24453 := $(C((-(35)+C(4)))+C((-(4)+C(2))))$
24455 := $((C(((5\times 5)+4))+C(4))+2)$
24456 := $(-(6)\times((5\times 4)-C((4^2))))$
24464 := $-((C(4)+(-(6)\times(C((4\times 4))-C(2)))))$
24472 := $(C(2)\times(C((7+4))+C((4+C(2)))))$
24512 := $(((2+1)\times C((5\times 4)))+C(C(2)))$
24525 := $(-(5)\times(C(2)-C(((5+4)+C(2)))))$
24545 := $(-(5)\times(4-C(((5+4)+C(2)))))$
24552 := $(((C(2)+((5^5)))-C(4))\times C(2))$
24557 := $((7^5)+(C(5)\times(C(4)-2)))$
24565 := $(5\times C((((6+5)+4)+2)))$
24568 := $(((C(8)\times 6)-(5-4))\times C(2))$
24571 := $((C(17)\times 5)+(4+2))$
24573 := $(((C((C(3)+(7)))\times 5)+C(4))/C(2))$
24576 := $(6\times C((((7-5)\times 4)\times 2)))$
24578 := $((C(8)\times((7+5)\times 4))+2)$
24589 := $(((C(9)-8)\times C(5))-(4^{C(2)}))$
24596 := $(C(C(-((6-9))))+C(((5+4)+C(2))))$
24603 := $(C(3)-((0-6)\times C((4^2))))$
24608 := $(((C(8)\times 06)+(4))\times C(2))$
24624 := $(((C(C(4))+C(C(2)))\times 6)/C((-(4)+C(2))))$
24632 := $(((C(2)-C(3))\times(-(6^4)))+C(2))$
24635 := $(5\times(C(3)+((6+C(4))^2)))$
24636 := $(6\times((C(3)\times(C(6)-C(4)))+2))$
24657 := $-((C(7)-(C(5)\times(C(6)-((4^2))))))$
24665 := $(C(5)-(-(6)\times(-(6)+C((4^2)))))$
24672 := $((-(2)+(C(7)\times 6))\times(4+C(2)))$
24693 := $(-(3)-(-(9)\times C((6+(4\times 2)))))$
24696 := $(((C(6)+9)+C(6))\times(C(4)-C(2)))$
24712 := $(((C((C(2)+1))-C(7))\times C(4))+C(2))$
24732 := $((C(2)+C(C(3)))+((7+C(4))^2))$
24747 := $((C(7)-(4))\times((7+C(4))+2))$
24749 := $(((9+C(4))\times(C(7)-(4)))+2)$
24759 := $-((C(9)-((C(5)-(7))\times C((4+2)))))$
24772 := $-((C(C(2))+((7\times 7)\times(-(4)-C(C(2))))))$
24792 := $(C(2)\times(((9\times C(7))+(4))+C(2)))$
24813 := $(C(3)\times((C(-((1-8)))+C(4))+C(C(2))))$
24816 := $(-(6)\times(((-(1)-C(8))-(4))\times C(2)))$
24837 := $((C(((7\times 3)+8))-C(4))+C(C(2)))$
24862 := $(((C(C(2))-C(6))\times 84)-2)$
24864 := $((-(4)\times(6+C(8)))\times(-(4)-C(2)))$
24875 := $(C(5)\times(C(7)-(((8+4)^2))))$
24894 := $((49\times(C(8)-(4)))+2)$
24895 := $(5\times((C((9+8))+C(4))+2))$
24897 := $-((((C(7)-C(9))\times(C(8)+(4)))/C(2)))$
24925 := $(5\times(C((C(2)+9))+((C(4)+C(2)))))$
24929 := $(C(9)+(C(2)\times((-(9)+C(4))^2)))$
24964 := $(4\times(((6+9)+C(4))^2))$

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24965 := $((C((5+(C(6)/9)))+C(4))+C(C(2)))$
24976 := $((C(6)\times(-(7)+C((9-4))))-C(C(2)))$
25002 := $((200\times C(5))+2)$
25137 := $(C((7\times 3))+((1+C(5))^2))$
25255 := $((C(55)-C(C(2)))-(C(52)))$
25257 := $-((C(7)-(((5\times(2^5))^2))))$
25262 := $(-(2)-((C(6)\times(C(2)-C(5)))+C(2)))$
25264 := $((C((C(4)-C((6/2))))-(C(5)))/2)$
25265 := $(-(5)-((C(6)\times(C(2)-C(5)))+2))$
25267 := $(-(7)-((C(6)\times(C(2)-C(5)))-2))$
25269 := $-((C(9)-(((C(6)-C(2))\times C(5))-2)))$
25272 := $(-(27)\times((C(2)-C(5))\times C(2)))$
25277 := $(-(7)\times((-(7)\times C(C(2)))-C((5-2))))$
25284 := $((4+C(8))\times((2+5)^2))$
25298 := $(C(8)+(C(9)\times((2^5)+2)))$
25324 := $((C((C((-(4)+C(2)))-C(3)))-(5))/2)$
25327 := $(C((7+C(2)))+C((3+(5^2))))$
25334 := $((C((C(4)-C(3)))+(3\times 5))/2)$
25344 := $-(((C(C(4))-C((C(4)-((3-5)))))+C(2)))$
25348 := $(((C(8)+C((-(4)+C(3))))-(5))\times 2)$
25353 := $(3\times(C((-(5)+C(3)))-C((5+C(2)))))$
25368 := $(((8-C(6))\times(3-C(5)))-C(2))$
25375 := $(C(5)\times(7+((C(3)-C(5))\times(-2))))$
25389 := $((C(9)-(8^3))\times(C(5)-C(2)))$
25392 := $((C(29)+3)+C((5\times 2)))$
25398 := $(((8\times C(9))+C(C(3)))-((C(5)-C(2))))$
25433 := $(C(C(3))-(((C(3)-(4))\times C(5))\times(-2)))$
25443 := $(C(C(3))-(C(4)\times(-(45\times 2))))$
25475 := $(-(5)\times((-(7)\times C((4+5)))+C(2)))$
25489 := $((C(9)-8)+(C(4)\times(-(C(5))+C(C(2)))))$
25497 := $((((-(7)\times C(9))+(4))\times(-5))+2)$
25512 := $(C(C(2))+(((1\times 5)^5)\times C(2)))$
25523 := $((C(C(3))+C(2))+C(((5+5)+C(2))))$
25528 := $(C(8)+(C(2)\times((5^5)+2)))$
25536 := $((6\times(C(3)+(5)))\times(C(5)+C(2)))$
25544 := $((C(4)+((4+(5^5))))\times C(2))$
25552 := $(C(C(2))+(((5^5)+5)\times C(2)))$
25569 := $(C(9)+(C(6)\times(C(5)-(5\times 2))))$
25573 := $-((C(3)-(((7\times 5)+C(5))^2)))$
25576 := $((C((6+7))+C((5+5)))\times C(2))$
25592 := $((C(C(2))\times((9\times 5)+5))-C(2))$
25595 := $(-(5)+(((9\times 5)+5)\times C(C(2))))$
25598 := $((C(8)\times((9\times 5)+5))-2)$
25623 := $((((-(3)-C(2))+C(6))\times C(5))-2)$
25624 := $((C((C(4)+2))/(6+5))-C(C(2)))$
25625 := $(C(5)\times(((2+C(6))-(5))-C(2)))$
25627 := $((7^2)\times((6+5)+C(C(2))))$
25629 := $((C(92)-C((C(6)-C(5))))+C(C(2)))$
25657 := $-(((C(7)-C((5\times 6)))+C((5\times 2))))$
25717 := $((C(7)\times(1\times 75))-C(2))$
25725 := $(((5-2)\times C(7))\times(5^2))$
25726 := $(((C(6)+2)\times(-(7)+C(5)))+2)$
25727 := $((((7+C(2))\times C(7))\times 5)+2)$
25728 := $((C(8)+(C(2)\times(C(7)-(5))))\times C(2))$
25729 := $(C(9)+((-((2-7))^5)\times C(2)))$
25732 := $(C((2+C(3)))+((C(7)+C((5\times 2)))))$
25735 := $(-(5)\times(((3\times C(7))\times(-5))-2))$
25759 := $(-((C(9)-C(((5\times 7)-5))))-C(C(2)))$
25792 := $((C(C(2))-(9+7))\times 52)$
25839 := $-((C(9)-((C(3)\times 8)\times(C(5)-2))))$
25852 := $-((C(C(2))-((5-C(8))\times(-52))))$
25857 := $(-((7-58))\times(-(5)+C(C(2))))$
25863 := $((((3+C(6))-8)\times C(5))-C(C(2)))$
25865 := $(((-(5)-C(6))\times(8-C(5)))+C(2))$
25875 := $(C(5)\times(7+(8\times(5^2))))$
25921 := $(((C((1+2))+9)+C(5))^2)$
25935 := $((5\times 3)\times(C(9)+C((5\times 2))))$
25947 := $((C(7)-C(4))\times(95-2))$
25948 := $((C(8)-(4+9))\times 52)$
25973 := $((37\times C(9))-C((5\times 2)))$
25984 := $((C(4)-C(8))\times((9-C(5))/2))$
25986 := $(((C(6)+8)\times(-(9)+C(5)))+2)$
25992 := $(((C(C(2))+(9-C(9)))\times(-C(5)))-C(2))$
25994 := $(((-(4)\times C(9))\times(-9))+(C(5)\times(-2)))$
25998 := $-(((((C(8)+9)-C(9))\times C(5))+2))$
26083 := $(C(C(3))+((80^{-6+C(2)})))$
26112 := $(C(C(2))\times(-(11-62)))$
26113 := $-((C(C(3))-((-((1+1))+C(6))^2)))$
26125 := $(C(5)\times(((2-1)+C(6))-C(2)))$
26136 := $((((C(6)+C(3))-1)\times C(6))/2)$
26144 := $(((-(4)+C((4+1)))\times C(6))+C(2))$
26196 := $(-(6)\times((C(9)\times(-(1\times 6)))+C(2)))$
26199 := $(-(9)+((C(9)-1)\times(6^2)))$
26232 := $(((-(2)\times(3^{C(2)}))+(6))\times(-2))$

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26233 := $(-(3)-((C((C(3)\times 2))/(-6))+C(2)))$
26236 := $(((6\times C(3))^2)-(6+2))$
26237 := $(-(7)+((3^{C(2)})\times(6-2)))$
26238 := $-((C(8)-(C((3+2))\times(C(6)-2))))$
26242 := $((C(((-(2)+C(4))-C(2)))/6)-2)$
26246 := $((C((C(6)/(-(4)+C(2))))/6)+2)$
26269 := $-(((C(9)-C(((6^2)-6)))+2))$
26272 := $((C(((C(2)+(7))\times 2))-C(6))-C(C(2)))$
26279 := $-(((C(9)-C(((7-2)\times 6)))-C(2)))$
26288 := $((88-C(C(2)))\times(-62))$
26312 := $((2\times(-(1)+C(3)))\times(-(6)+C(C(2))))$
26322 := $((-(2)+C((2+3)))\times(C(6)-2))$
26326 := $((-(C(6))+C(-((C(2)-C(3)))))+(C(C((6/2)))))$
26329 := $(C(9)+((-(2)+(C(3)\times 6))^2))$
26344 := $((4-((C(4)-3)\times C(6)))\times(-2))$
26346 := $(-(6)+(((C(4)-3)\times C(6))\times 2))$
26364 := $(C(((4+6)+3))\times(6\times 2))$
26372 := $((2^7)+((C(3)\times 6)^2))$
26384 := $((C(4)+((C(8)+C(3))\times 6))\times C(2))$
26424 := $(-((C(4)-C((24+6))))-C(C(2)))$
26432 := $(((2\times C(3))+C(4))\times(C(6)+C(2)))$
26433 := $((C((C(3)+3))/4)+C(C((6/2))))$
26482 := $((C(-((2-(8\times 4))))-(6))-C(C(2)))$
26488 := $-((C(8)-C((8+((4\times 6)-2)))))$
26494 := $((C(4)\times(9\times 46))-2)$
26496 := $((C(6)-9)\times(C(4)+C((6-2))))$
26512 := $(C(C(2))+(C((1\times 5))\times(C(6)-C(2))))$
26521 := $-((C((1+C(2)))-(C(5)\times(C(6)+2))))$
26523 := $((C(3)-C(C(2)))+(C((5\times 6))+C(2)))$
26526 := $((((C(6)-2)\times C(5))-C(6))-C(2))$
26529 := $-(((C(9)-C(2))-(C(5)\times(C(6)+2))))$
26536 := $((-(6)+C(C(3)))+C(((5+6)+C(2))))$
26542 := $(C((24-5))+C(C((6/2))))$
26546 := $(((-(6)+C(4))+C((5\times 6)))-C(C(2)))$
26557 := $(-(((7^5)\times 5))+C((6\times C(2))))$
26563 := $(((-(3)+C(6))\times C(5))-(62))$
26564 := $(((-(4)+C(6))\times C(5))+C((6-2)))$
26566 := $-((((C(6)+C(6))-C((5\times 6)))+2))$
26587 := $(C(7)+((C((8-5))\times 6)^2))$
26596 := $(((6-9)+C(5))\times(C(6)+2))$
26624 := $((C(4)-(2\times 6))\times C((6+2)))$
26625 := $(C(5)\times(((-(2)\times C(6))+(6))/(-2)))$
26643 := $(C(C(3))+(((4\times C(6))+(6))\times C(2)))$
26653 := $(-(3)+((C(5)-(6))\times(C(6)+C(2))))$
26654 := $((((-(4)+C(5))\times C(6))+(6))+C(C(2)))$
26656 := $((6-C(5))\times((-(6)-C(6))-2))$
26657 := $-((C(7)-((5\times 6)^{6/2})))$
26676 := $-(((C((6\times 7))-C(66))/C(2)))$
26688 := $((((-(8)-C(8))\times(-6))+C(6))\times C(2))$
26697 := $((7\times C((9+6)))-(-(6)\times C(C(2))))$
26723 := $((-(C(3))-(C(-((2-7)))\times(-(C(6)-2)))))$
26729 := $(C(9)-(C(-((2-7)))\times(-(C(6)-C(2)))))$
26733 := $(3\times((C(3)\times(C(7)+(6)))-C(C(2))))$
26744 := $(((C(4)+C(4))\times(-(7)+C(6)))-C(2))$
26746 := $(-(6)+(C(4)\times((7-C(6))\times(-2))))$
26752 := $((((C(2)+(5))\times C(7))\times 6)-2)$
26764 := $(((C(4)\times(C(6)-(7)))+(6))\times 2)$
26765 := $((C((5\times 6))-C(7))-(C(6)/(-2)))$
26768 := $(8\times(((C(6)+C(7))\times 6)-C(2)))$
26782 := $((C((2\times(8+7)))-C(6))-2)$
26823 := $(C(C(3))+((2-C(8))\times(-(6)-C(2))))$
26837 := $(C((7\times 3))+C(((-(8)+C(6))/C(2))))$
26863 := $(C(C(3))-(C(6)-(86^2)))$
26875 := $(C(5)\times((-((7-8))+C(6))-2))$
26919 := $(-(C(9))+(((1\times 9)\times 6)\times C(C(2))))$
26924 := $((-(4)+C(C(2)))\times(-(9-62)))$
26928 := $(-(8)-((C(2)-C((9+6)))\times C(2)))$
26934 := $((-(C(4))+C((C(3)+(9-6))))-2)$
26936 := $(C((6/3))\times(C((9+6))-C(2)))$
26944 := $-(((C(4)-C(((4\times 9)-6)))-C(2)))$
26946 := $((C(6)/(-4))+C(((9+6)\times 2)))$
26952 := $((C(2)\times(-(5)+C((9+6))))-C(2))$
26954 := $((C((4\times 5))-C(9))+C(C((6/2))))$
26955 := $(-(5)-((5-C((9+6)))\times C(2)))$
26958 := $((8\times(-(5)+C((9+6))))-2)$
26965 := $((C((5\times 6))-C((9-6)))-C(2))$
26968 := $(8\times(C((6+9))-(6-2)))$
26982 := $(-(2)+(8\times(C((9+6))-2)))$
26984 := $((C(4)/8)\times(C((9+6))-2))$
26986 := $(-((6+8))+C(((9+6)\times 2)))$
26989 := $(-(9)-((-(8)\times C((9+6)))+2))$
26991 := $(-((1\times 9))+C(((9+6)\times 2)))$
26992 := $(C(((2\times(9+9))-6))-C(2))$
26995 := $(-(5)+C(((9+9)+(6\times 2))))$

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26999 := $(-((9/9)) + C(((9+6) \times 2)))$
27048 := $((C(8)+40) \times (7^2))$
27056 := $(C((6 \times 5)) + (07 \times C(2)))$
27064 := $(C(4) + C((6 \times (07-2))))$
27088 := $-((C(8) + (-(80) \times (C(7)+2))))$
27097 := $(C(7) \times ((-(90) - C(7)) + C(C(2))))$
27125 := $(C(5) + C(((21+7)+2)))$
27132 := $(C((2+C(3))) + (-(1) + C((7 \times 2))))$
27133 := $(C((C(3) + (3-1))) + (C((7 \times 2))))$
27136 := $((C(6) \times ((3-1)^7)) - C(C(2)))$
27145 := $(-(5) \times ((-(4) - C(17)) - C(C(2))))$
27156 := $(-(6) \times (-((C(5) + C(17))) + C(C(2))))$
27216 := $(C(6) \times (((1 \times 2)^7) - 2))$
27225 := $((C(5) + (C(2) \times (-(2-7))))^2)$
27232 := $(((2+C(3)) + C((C(2)+(7)))) \times C(2))$
27235 := $(-(C(5)) - (32 \times (-(C(7)) - C(C(2)))))$
27244 := $((44 + C(C(2))) \times (7^2))$
27256 := $(C((6 \times 5)) + ((2^7) \times 2))$
27262 := $(C(C(2)) + ((C(6)-2) \times C((7-2))))$
27264 := $(C(4) \times ((62 \times 7) - C(2)))$
27265 := $((C(5) \times (C(6)+2)) + (7 + C(2)))$
27285 := $(((C(5) - C((8 \times 2))) \times (-7)) - C(C(2)))$
27328 := $((C(8) - (C(2) \times 3)) \times (7 \times C(2)))$
27334 := $(C(4) - ((C(3) + C(3)) \times (7 - C(C(2)))))$
27335 := $((C((5 \times (3+3))) + C(7)) - C(2))$
27341 := $(C((-((1-4)) + C(3))) + ((C(7)-2)))$
27342 := $((2 - C(4)) \times (-((3 \times 7)^2)))$
27348 := $((C(8)+(4)) \times (-(3) + (7 \times C(2))))$
27352 := $(-(C(2)) - ((5+C(3)) \times (-(C(7)) - C(C(2)))))$
27355 := $(-(5) - ((5+C(3)) \times (-(C(7)) - C(C(2)))))$
27363 := $(C(C(3)) + (C(C((6/3))) \times (7 + C(2))))$
27369 := $(-(9) - ((6 \times C(3)) \times (C(7) - C(C(2)))))$
27376 := $-(((((C(6) - C(7)) \times C(3)) + (7)) \times C(2)))$
27384 := $((((-(4) - C(8)) + C(3)) \times (-7)) \times C(2))$
27423 := $(C(C(3)) + ((C(C(2)) + (4)) \times (7 + C(2))))$
27424 := $(C(4) - ((C(2) \times 4) \times (-(C(7)) - C(C(2)))))$
27432 := $((-(C(2)) + C((C(3) + (4+7))))/2)$
27433 := $(-(3) - (C((C(3) + (4+7)))/(-2)))$
27434 := $((4 \times C(((3 \times 4)+7))) - 2)$
27436 := $(C(-(((6+3) - 47)))/2)$
27442 := $((((2^4) + C(4)) \times C(7)) + 2)$
27448 := $((C(8) - C(4)) + C(((4 \times 7)+2)))$
27456 := $(C((6 \times 5)) - ((C(4) \times (-7)) - C(2)))$
27465 := $((C((5 \times 6)) - 47) + C(C(2)))$
27485 := $-((((C(5) - C(8)) \times (C(4) + (7))) - C(2)))$
27496 := $((((C(6) + C(9)) \times 4) - C(7)) \times C(2))$
27512 := $(C(C(2)) + C(((1+5) \times (7-2))))$
27523 := $(C(C(3)) + ((C(C(2)) + ((C(5) + C(7)))) \times C(2)))$
27546 := $(-(6) \times ((C((4+5)) \times (-7)) + C(C(2))))$
27549 := $(-(9) \times (C(4) - (5^{7-2})))$
27556 := $(((6 + C(5)) + (5 \times 7))^2)$
27561 := $(((-(1) + C(6)) \times C(5)) + (C(7) \times 2))$
27568 := $((C(8) + C((6 \times 5))) + (7 \times C(2)))$
27584 := $-((C(4) - (C(8) \times (5 + (7^2)))))$
27634 := $((((4^3) \times C(6)) - (7)) \times 2)$
27642 := $(C(2) + ((C((4 \times 6)) - (7)) \times 2))$
27644 := $(-(4) + (C(4) \times (6 \times 72)))$
27646 := $(((-(6) - C((4 \times 6))) + (7)) \times (-2))$
27648 := $(C(8) \times ((4 \times (6+7)) + 2))$
27653 := $(((3 + C(5)) \times C(6)) + (7-2))$
27657 := $((((7 + C(5)) \times C(6)) - C(7)) - C(C(2)))$
27662 := $(((-((2^6)) \times C(6)) - (7)) \times (-2))$
27664 := $(-(C(46)) + C(((6 \times 7) + C(2))))$
27683 := $(C(C(3)) - (((C(8) + (C(6) \times (-7))) \times C(2))))$
27684 := $((-(4) + (C(8) \times (-6))) \times (-(7+2)))$
27688 := $(8 \times (86 + C((7 + C(2)))))$
27729 := $(C(9) + C((2 + ((7+7) \times 2))))$
27746 := $((C((6 \times 4)) + ((7 \times 7))) \times 2)$
27755 := $(-(((C(5) \times (C(5) - C(7))) + (7))) + C(C(2)))$
27768 := $((C(8) \times 6) + (C(7) \times 72))$
27791 := $(-(1) + ((C(9) - C(7)) \times 72))$
27792 := $(C(2) + ((C(9) + C((7+7))) \times C(2)))$
27795 := $(((C(5) - C((9+7))) \times (-7)) - 2)$
27797 := $(((7 - C(9)) \times 77)/(-2))$
27816 := $(61 \times (C(8) - (7 \times C(2))))$
27817 := $(-(C(7)) + (-((1 - (8 \times 7))) \times C(C(2))))$
27857 := $(-(7) + ((C(5) - C(8)) \times (-72)))$
27864 := $((4 \times C(6)) + C(((8+7) \times 2)))$
27866 := $((C(6) \times (C(6) - (87))) + 2)$
27875 := $((C(5) \times 7) + C(((8+7) \times 2)))$
27936 := $((C(6)/3) \times ((C(9) - C(7)) + 2))$
27945 := $(((5+4) \times 9) \times (C(7)+2))$
27963 := $(C(C(3)) + ((C(6)/9) \times (C(7)+2)))$
27973 := $(C((C(3) - ((7-9)))) - (-(7) \times C(C(2))))$

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27974 := $((C(4)+(7))\times((C(9)-C(7))+C(2)))$
28032 := $((C(2)+C(30))+(C(8)\times 2))$
28123 := $(-(3)+(C((C(2)-1))\times 82))$
28125 := $(C(5)\times((C(2)+1)+C((8-2))))$
28126 := $(C(((6+2)-1))\times 82)$
28128 := $((82\times C(-((1-8))))+2)$
28165 := $((C(5)+(6))\times(-(1)+C((8-2))))$
28217 := $(-(7)\times(1+((C(2)-C(8))\times C(2))))$
28249 := $(C(9)+(C(4)\times(C(C(2))-(82))))$
28272 := $(((C(2)\times 7)\times(2+C(8)))-C(C(2)))$
28297 := $(((C(7)\times(9^2))+C(8))+2)$
28323 := $(C(3)\times((-(2)+C(3))+(C(8)\times 2)))$
28324 := $(-(4)\times(-((C(2)+(3^8)))-C(C(2))))$
28333 := $(C((C(3)+3))+((C((3+8))+2)))$
28334 := $((C((4+3))+C((3\times 8)))\times 2)$
28371 := $(-(1)+((C(7)+3)\times 82))$
28387 := $((C(7)\times 83)-(82))$
28439 := $((C(9)\times(C(3)+(4+8)))+C(2))$
28448 := $((8-C(4))\times((-(4)-C(8))+C(2)))$
28485 := $((C(58)+C((4\times 8)))/C(2))$
28512 := $(((C(2)-1)+C(5))\times C((8-2)))$
28513 := $(C((C(3)+1))+(-((5-8))^{C(2)}))$
28576 := $((C(6)\times(7+C(5)))+((8^2)))$
28618 := $((C((8-1))+(6))\times 82)$
28624 := $(((C((4^2))-(6))-C(8))\times C(2))$
28643 := $(C(C(3))+(-(4)\times((C(6)\times(-8))-C(C(2)))))$
28648 := $(((C(8)/4)\times C(6))+C((8+2)))$
28653 := $-((C(3)+((-(56)\times C(8))-C(2))))$
28657 := $(-(7)+((56\times C(8))-C(2)))$
28671 := $(-(1)+(7\times C(((6+8)+2))))$
28672 := $((C(2)-(7-6))\times C((8\times 2)))$
28688 := $(8\times(((C(8)\times 6)+C(8))+2))$
28704 := $((4+(07\times C(8)))\times C(2))$
28721 := $((-(1)+C(2))\times(7+C((8\times 2))))$
28726 := $(((-(C(6))-C((C(2)+(7))))\times(-8))-2)$
28728 := $((C(8)-C(2))\times(-(7-(8^2))))$
28736 := $(C((6/3))\times((7\times C(8))+C(2)))$
28748 := $((84\times C(7))-(8^2))$
28752 := $(((2\times 5)-(-(7)\times C(8)))\times C(2))$
28759 := $(-((9^5))+(C((7\times 8))/2))$
28776 := $(((6+7)-(-(7)\times C(8)))\times C(2))$
28781 := $(-(1)-((-(8)-C(7))\times 82))$
28782 := $(((2+C(8))\times(7\times 8))-2)$
28784 := $(((C(4)/8)\times 7)\times(C(8)+2))$
28791 := $(-(1)-(((-(9)\times C(7))-C(8))\times C(2)))$
28792 := $(((C(2)\times 9)\times C(7))+C((8\times 2)))$
28864 := $(((-(4)\times C(6))+C(8))\times(-82))$
28875 := $(C(5)\times((7+8)+C((8-2))))$
28904 := $((40\times C(9))-(C(8)/2))$
28952 := $(C(2)+((C(5)+9)\times C((8-2))))$
28963 := $((-(3)-(-(6)\times C((9+8))))-C(C(2)))$
28968 := $-((C(8)+((-(6)\times C((9+8)))-2)))$
28986 := $(6\times(C((8+9))-(82)))$
29014 := $(((C(C(4))-C(10))/9)-2)$
29115 := $(-(5)\times(1+((1-C(9))\times C(2))))$
29125 := $(-(5)\times((C(2)-1)-C((9\times 2))))$
29134 := $(((C(4)+C(31))-C(9))+C(2))$
29135 := $(-(5)\times(-(3)+((1-C(9))\times C(2))))$
29145 := $(-(5)\times((4-1)-C((9\times 2))))$
29152 := $(((C(2)\times 5)\times C((1\times 9)))-C(2))$
29155 := $(-(5)-(-(5)\times C(((1\times 9)\times 2))))$
29157 := $(C((7\times 5))+(C(19)\times(-2)))$
29158 := $(((8\times 5)\times C((1\times 9)))-2)$
29174 := $((C(4)-(7-1))\times(-(9)+C(C(2))))$
29182 := $((C(C(2))\times((C(8)+1)/9))-2)$
29184 := $(C(4)\times(((C(8)+1)/9)\times C(2)))$
29234 := $(((-(C(4))-C((3\times C(2))))-(C(9)))\times(-2))$
29241 := $(((C(-((1-4)))-C(2))\times 9)^2)$
29245 := $(C(5)-(((C(C(4))+C(2))/(-9))+C(2)))$
29247 := $((7\times(C((4^2))+9))+C(C(2)))$
29248 := $(8\times(((-(C(4))+C(C(2)))+9)\times C(2)))$
29272 := $-((C(C(2))+(7-C((29+2)))))$
29275 := $(-(5)\times(-(7)-((2+C(9))\times C(2))))$
29279 := $(C(((9-7)+29))-C(C(2)))$
29302 := $(C((2+C(03)))+C((9+C(2))))$
29316 := $(-(6)\times(C((1\times 3))-C((9+C(2)))))$
29317 := $-((C(7)-((-(1)-C(39))/(-2))))$
29326 := $(62\times(-(39)+C(C(2))))$
29335 := $(-(5)\times((-(C(3))-C((C(3)-9)))-C(2)))$
29342 := $((-(2)+C((4\times 3)))\times(9+C(2)))$
29345 := $(5\times((C(4)-C(3))+C((9\times 2))))$
29375 := $(C(5)\times((C(7)-C(3))-((9^2))))$
29376 := $(C(6)+(((-(7)+C(3))\times C(9))\times 2))$
29377 := $((((7+7)+C(3))\times C(9))-C(C(2)))$

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29412 := $(2 \times ((-(1) + C(49))/C(2)))$
29425 := $((5^2) \times (-((C(4) - C(9))) + C(C(2))))$
29433 := $(((-(3) \times (C(C(3)) - C(4))) - 9)/(-2))$
29436 := $(-(6) \times ((3+4) - C((9 + C(2)))))$
29437 := $((-(C(7)) + C((C(3) + (4)))) - (9+2))$
29439 := $((-(9) + C((C(3) + (4)))) - C((9-2)))$
29453 := $-((C(3) + (-(5) \times (C(4) + C((9 \times 2))))))$
29455 := $(-(5) \times ((5 - C(4)) - C((9 \times 2))))$
29462 := $(C(2) - (-(6) \times (-(4) + C((9 + C(2))))))$
29466 := $(-(6) \times ((6-4) - C((9 + C(2)))))$
29469 := $(-(9) + (6 \times C(-((C(4) - ((9^2)))))))$
29475 := $(-(5) \times (-(7) - (C(4) \times 92)))$
29486 := $((6 \times C((C((8/4)) + 9))) + C(2))$
29496 := $(((69 \times C(4)) - C(9)) \times C(2))$
29498 := $(-((8 - 94)) \times C((9-2)))$
29526 := $((6 + C(C(2))) \times (59-2))$
29527 := $(C(7) - (C(C(2)) \times (-(59-2))))$
29529 := $(9 \times ((C(C(2)) \times 5) + ((C(9) - C(2)))))$
29535 := $((C(5) \times 3) - (-(5) \times C((9 \times 2))))$
29547 := $(-(7) \times (-((C(4) - (-(5) \times C(9)))) - C(C(2))))$
29568 := $((8 + C(6)) \times (C(5) + (9-2)))$
29574 := $((C(-((4 - (7 \times 5)))) - (C(9))) + C(C(2)))$
29584 := $((((C(4) - 8) + C(5)) - 9)^2)$
29585 := $(-(5) \times (-(85) - C((9 \times 2))))$
29594 := $((-(49) \times (C(5) - C(9))) - 2)$
29642 := $(C((C(2) \times 4)) - (-(6) \times (-(9) - C(C(2)))))$
29672 := $((-((2 - (7 \times 6))) \times C(9)) + C(C(2)))$
29686 := $((C(6) - 8) + (6 \times C((9 + C(2)))))$
29697 := $(((7 \times 9) - 6) \times (9 + C(C(2))))$
29706 := $(-(6) \times ((0 - C(7)) - (9 \times C(C(2)))))$
29729 := $((9 + (2^7)) \times (C(9) - C(C(2))))$
29763 := $(C((C(3) + (6))) - (C(7) \times (9 \times 2)))$
29783 := $(C((C(3) - ((8/(7-9))))) - C(2))$
29791 := $C(-(((1^9) - ((7+9) \times 2))))$
29792 := $((C(((2 \times 9) + 7)) - C(9)) \times 2)$
29793 := $(C((39 - C(-((7-9))))) + 2)$
29798 := $(C(((C(8) - C(9))/(-7))) + (9-2))$
29799 := $-((C(9) + (((-(9) \times C(7)) - C(9)) \times C(2))))$
29832 := $((C(2) \times 3) \times ((C(8) + C(9)) + 2))$
29849 := $(C(9) + (((C(C(4)) + 8)/9) - C(2)))$
29852 := $(C((2^5)) + ((8 \times C(9))/(-2)))$
29853 := $(3 \times (C(5) + (C((8+9)) \times 2)))$
29865 := $(-((C(5) + (-(6) \times C((8+9))))) + C(C(2)))$
29875 := $(5 \times (C(7) + (C(8) \times (9+2))))$
29923 := $(C(C(3)) - (C(C(2)) \times (-((9+9)+2))))$
30134 := $(C((4 + C(3))) + (C((10-3))))$
30137 := $((C(7) + C(31)) + 03)$
30267 := $(((-(7) \times C(6)) \times (-20)) + C(3))$
30331 := $(C(-((C(-((1-3))) - (30)))) + C(C(3)))$
30372 := $(C((C(2) + (7))) + ((C(30) - 3)))$
30375 := $((C(5) + C((7+3))) \times C(03))$
30378 := $((C((8+7)) + C(30)) + 3)$
30477 := $((C(7) + C(7)) + C((4 + C(03))))$
30493 := $(-((C(3) - C(9))) + C((4 + C(03))))$
30625 := $(C(5) \times ((2 + C(6)) + C(03)))$
30875 := $(C(5) \times (7 + (80 \times 3)))$
31125 := $(-(C(5)) - (-(2) \times C((-((1+1)) + C(3)))))$
31168 := $((C(8) \times 61) - C((1+3)))$
31213 := $(C((C(3)+1)) + (21^3))$
31223 := $((C((C(3) - 2)) \times 2) - C((1 \times 3)))$
31227 := $((C(7) + (C(C(2)) \times (-21))) \times (-3))$
31232 := $(C(C(2)) \times (-(3) + C(((2-1)+3))))$
31234 := $(((C(4) - 3) \times C(C(2))) - ((1-3)))$
31235 := $(C((5 + C(3))) - ((C(C(2)) - 1) \times 3))$
31239 := $(((-(9) + C(C(3))) - C(21)) \times 3)$
31242 := $(2 \times (-(4) + C((-(2) + C((1 \times 3))))))$
31245 := $(((C(5) - C(4)) \times C(C(2))) + 13)$
31262 := $(2 \times (6 + C((-(2) + C((1 \times 3))))))$
31265 := $(((5 + C(6))^2) - C((-(1) + C(3))))$
31293 := $((C(C(3)) - (-(9) + C(21))) \times 3)$
31338 := $((-(C(8)) + C(C(3))) + C((C(3) - (1+3))))$
31349 := $((C(9) \times 43) - ((1-3)))$
31424 := $(C(4) \times (C(C(2)) - ((C(4) - 1)/3)))$
31432 := $-((C(C(2)) + (-(3) \times C((-((4+1)) + C(3))))))$
31449 := $(C(9) + ((C(4) - (4)) \times C(C(-((1-3))))))$
31464 := $((C(4) + C((6 \times 4))) + C((-(1) + C(3))))$
31559 := $(((95 \times C(5)) + 1) + C(C(3)))$
31577 := $((77 \times C(5)) + C((1 + C(3))))$
31625 := $(C(5) \times ((2 \times C((6-1))) + 3))$
31634 := $((C((-(4) + C(3))) - C(6)) + C(C((1 \times 3))))$
31723 := $(((C(3) + C(2)) \times (C(7) + 1)) + C(C(3)))$
31742 := $(C((C(2) \times 4)) - ((C(7) - 1) \times 3))$
31744 := $(-(4) \times (C(4) - C((7 + 13))))$
31746 := $(-(6) \times ((C(4) + C(7)) \times (-13)))$

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31782 := $(2 \times (C(8) + (7 \times C(13))))$
31843 := $((C((C(3) - (4))) - (8 - 1)) + C(C(3)))$
31849 := $((C(-((9 - (4 \times 8)))) - 1) + C(C(3)))$
31851 := $((C((15 + 8)) + 1) + C(C(3)))$
31872 := $((-((2 \times 7)) + C(8)) \times C((1 + 3)))$
31937 := $(-(7) - (-(3) \times C((9 + 13))))$
31942 := $((C((2 + C(4)))/9) + ((1 - 3)))$
31944 := $((C(44)/(9 - 1)) \times 3)$
31954 := $(((4 \times C(5)) + C(9)) \times (-(1) + C(3)))$
32024 := $(4 \times (C(20) + (2 \times 3)))$
32039 := $-((C(9) - ((30 + 2)^3)))$
32192 := $((C(C(2)) - 9) \times C(((1^2) + 3)))$
32227 := $((((7 \times 2) \times C(2))^2) + C(C(3)))$
32229 := $(9 \times ((C((C(2) + C(2))) - C(C(2))) - 3))$
32232 := $-((C(C(2)) - ((C(32) - (C(2) \times 3)))))$
32235 := $-(((C((-(5) + C(3))) - C(2)) - C((C(2) + C(3)))))$
32248 := $((C((8 \times 4)) - C(2)) - C((2^3)))$
32252 := $(2 \times (((C(5) + 2)^2) - 3))$
32256 := $(C(((6 \times 5) + 2)) - C((2^3)))$
32258 := $(((8^5) + 2) - C((2^3)))$
32259 := $(((9 \times (5 + 2)) \times C(C(2))) + 3)$
32262 := $(2 \times ((-(6) + C(C(2))) + C((-(2) + C(3)))))$
32277 := $(-(7) \times ((-((7 + 2)) \times C(C(2))) - 3))$
32279 := $(((9 \times 7) \times C(C(2))) + 23)$
32283 := $((C(3) - C(8)) + C((2^{2+3})))$
32284 := $(-(4) \times (C((8 \times 2)) - C(23)))$
32292 := $(2 \times ((9 + C(C(2))) + C((-(2) + C(3)))))$
32297 := $((-(7) \times ((-(9) \times C(C(2))) - 2)) + C(3))$
32347 := $(((-(7) \times C(4)) + C(32)) + C(3))$
32348 := $((C(8) + (-(4) \times C((C(3) + 2))))/(-3))$
32358 := $(((C(8) - (5)) \times (C(3) - 2)) + C(C(3)))$
32362 := $((C(C(2)) + C(C((6 - 3)))) + C(23))$
32368 := $(((C(8) + (6)) + C(C(3))) + C(23))$
32379 := $-((((C(9) - C(7)) - C(32)) + 3))$
32384 := $(C(4) \times ((8^3) - (2 \times 3)))$
32389 := $(C(((9 + 8) + 3)) + C((2 + C(3))))$
32392 := $(C(2) \times ((-(9) + C(C(3))) - C((-(2) + C(3)))))$
32424 := $(-((C(4) - C(2))) \times ((-(C(4)) - C(C(2))) - 3))$
32425 := $-((C((5 + 2)) - C((4 \times (2^3)))))$
32427 := $-(((C(7) - 2) - C((4 \times (2^3)))))$
32432 := $(C(2) \times ((C(C(3)) - (4)) - C((-(2) + C(3)))))$
32444 := $((4 - C((4 + 42)))/(-3))$
32445 := $(((-(5) \times C(4)) + C((C(4)/2))) - 3)$
32448 := $((-(8) - C((4 + 42)))/(-3))$
32451 := $((-(1) \times C(5)) + (C(4) \times (C(C(2)) - 3)))$
32452 := $((-(((C(2) - C(5)) + (4)))^2) + C(C(3)))$
32457 := $((-((C(7) - (5))) + C((C(4)/2))) + C(3))$
32464 := $(((C(46) + C(4)) - C(2))/3)$
32472 := $((((C(C(2)) - C(7)) \times (-C(4))) - C(2)) \times (-3))$
32479 := $(-(97) + (C(4) \times (C(C(2)) - 3)))$
32483 := $(C(C(3)) - (C(8) \times ((4 - 2) - C(3))))$
32488 := $(8 \times (((C(8) - (4)) \times C(2)) - 3))$
32497 := $(-(79) + (C(4) \times (C(C(2)) - 3)))$
32514 := $(((C(4) + 1) \times C(5)) + C((2 + C(3))))$
32528 := $(8 \times ((C(2) - C((5^2))) + C(C(3))))$
32535 := $((5 \times ((3^5) - 2)) \times C(3))$
32552 := $(C((2^5)) - C(((5 - 2) + 3)))$
32557 := $(((7^5) + C(5)) + C((-(2) + C(3))))$
32562 := $((C(C(2)) + ((C(6) - C(5)))) \times (2 \times C(3)))$
32567 := $((((-(7) + C(6)) \times C(5)) \times 2) - C(C(3)))$
32576 := $(C(((6 - 7) + 5)) \times (C(C(2)) - 3))$
32616 := $(C(6) \times (1 + (-(6) \times (2 - C(3)))))$
32624 := $(C((C(4)/2)) - ((6 \times C(2)) \times 3))$
32625 := $(C(5) \times ((C(2) \times (6^2)) - C(3)))$
32643 := $((C(C(3)) + (-(4) \times C(6))) + C((C(2) \times 3)))$
32697 := $(-(7) \times (C(9) + (C(6) \times (2 - C(3)))))$
32704 := $(-(C(4)) + C(((07 - 2) + C(3))))$
32714 := $(C((4 \times (1 + 7))) - (2 \times C(3)))$
32723 := $((C(32) - 72) + C(3))$
32741 := $((((1 \times 4)^7) \times 2) - C(3))$
32742 := $(C((C(2) \times 4)) - ((7 - C(2)) + C(3)))$
32744 := $(C((4 + (4 \times 7))) - (C(2) \times 3))$
32745 := $(C((5 + C(-((4 - 7))))) - 23)$
32749 := $((((9^4) - 7) \times C(2)) - C(C(3)))$
32752 := $(C((2^5)) + ((7 - 23)))$
32753 := $(C((C(3) + (5))) - ((7 - 2) \times 3))$
32759 := $(-(9) + C((5 + ((7 + 2) \times 3))))$
32761 := $(-((1 + 6)) + C(((7 - 2) + C(3))))$
32762 := $(C(((C(2) + C(6))/7)) - (2 \times 3))$
32764 := $(-(4) + C((((6 + 7) - C(2)) + C(3))))$
32765 := $(C((((5 + 6) - 7) \times C(2))) - 3)$
32767 := $(-((7 - 6)) + C(((7 - 2) + C(3))))$
32784 := $(C((4 \times 8)) - ((7 - 23)))$
32792 := $(C((2 \times (9 + 7))) + (C(2) \times 3))$

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32793 := $((C((39-7))-2)+C(3))$
32794 := $(((C(C(4))-C((9-7)))/C(2))+C(3))$
32795 := $(((-((5-9))^{7})\times 2)+C(3))$
32797 := $(((7+C((9+7)))\times C(2))-C(3))$
32822 := $(C(((2+2)\times 8))+(2\times C(3)))$
32823 := $((C(32)+(82))-C(3))$
32824 := $((C(4)-C(2))+(8^{2+3}))$
32827 := $(((7+C((2\times 8)))\times C(2))+3)$
32832 := $(((C(2)-C(3))\times(-8))\times C((2\times 3)))$
32844 := $((C(4)+(4))\times((C(8)-2)-C(3)))$
32853 := $(C((C(3)+(5)))+(82+3))$
32859 := $(((C(C((9-5)))+C(8))/C(2))+C(3))$
32875 := $(C(5)\times(-7)-(-((8+2))\times C(3))))$
32885 := $(C(5)-(8-(8^{2+3})))$
32886 := $((((C(6)\times 8)-C(8))+2)\times C(3))$
32952 := $(-(C(2))+(C(-((5-9)))\times(C(C(2))+3)))$
32955 := $((5\times C(-((5-(9\times 2)))))\times 3)$
32958 := $((((8^{5})+C(9))-C(C(2)))-C(3))$
32984 := $(C((4\times 8))+C(((9\times 2)/3)))$
32995 := $(((C(5)-99)\times C(C(2)))+C(C(3)))$
33055 := $(-(5)\times(-(50)+(C(C(3))/(-3))))$
33125 := $(((5+C(C(2)))\times(-(1)+C(3)))+C(C(3)))$
33165 := $(-(5)\times((C(6)+C(C((1\times 3))))/(-3)))$
33222 := $(2\times((C(C(2))\times(-(2\times 3)))+C(C(3))))$
33234 := $(((C(43)+C(C(2)))+C(C(3)))/3)$
33237 := $(((-((7+3))+C(C(2)))\times C(3))+C(C(3)))$
33245 := $((C(5)-C(4))\times(C(C(2))+33))$
33253 := $((C((C(3)+(5)))+((C((2^{3}))-C(3))))$
33256 := $((65\times C(C(2)))-(C(3)-3))$
33264 := $((C((4+6))+C(2))\times 33)$
33291 := $(((-((1-9))-C(C(2)))\times(-C(3)))+C(C(3)))$
33345 := $(-(5)\times((-(4)\times C(3))+(C(C(3))/(-3))))$
33372 := $(((C(C(2))+C(7))\times(-3))+(C(33)))$
33375 := $(C(5)\times(((7+3)\times C(3))-3))$
33385 := $((-((C(5)-C((8\times 3))))+C(C(3)))+3)$
33416 := $((((C(6)-1)\times C(4))-C(3))+C(C(3)))$
33443 := $(C(C(3))-(C(4)-C((4\times(3+3)))))$
33445 := $(-(5)\times(-((C(4)+C(4)))+(C(C(3))/(-3))))$
33446 := $(((C((6\times 4))-C(4))+C(C(3)))+3)$
33453 := $((C(C(3))-54)+C((C(3)-3)))$
33464 := $((C((4\times 6))-43)+C(C(3)))$
33465 := $(-(5)\times((C(6)\times(-(4)-C(3)))+3))$
33483 := $(C(C(3))-(-(8)\times(C((4\times 3))-3)))$
33497 := $(C((C(-((7-9)))\times 4))+(C((3\times 3))))$
33507 := $(C((C((7-05))\times 3))+C(C(3)))$
33512 := $((C(C((2+1)))+(5))+C((C(3)-3)))$
33513 := $((C(C(3))+(1+5))+C((C(3)-3)))$
33528 := $(8\times((-(2)-C(5))\times(-33)))$
33529 := $((-((C((9\times 2))+(5)))+C(C(3)))+C(C(3)))$
33534 := $-(((C(((-(4)+C(3))-(5)))-C(C(3)))-C(C(3))))$
33539 := $-((((C((-(9)+C(3)))-(5))-C(C(3)))-C(C(3))))$
33555 := $(C(5)+(-(5)\times(-(C(5))+(C(C(3))/(-3)))))$
33556 := $((C((6\times 5))-(5))-(C(C(3))/(-3)))$
33559 := $(C(9)+(-(5)\times(-(5)+(C(C(3))/(-3)))))$
33561 := $(C(((1\times 6)\times 5))-(C(C(3))/(-3)))$
33565 := $(((5+C(6))\times(C(5)+C(3)))-C(3))$
33576 := $((C(6)-(C(7)\times(-(5)-C(3))))\times 3)$
33588 := $(((C(8)+(8-5))\times C(3))+C(C(3)))$
33595 := $(((C(5)+C(9))+C((5+C(3))))-C(3))$
33615 := $((516\times C(3))+C(C(3)))$
33617 := $((C(7)\times(C(-((1-6)))-C(3)))+3)$
33623 := $((C((C(3)+2))+C((-(6)+C(3))))-C(3))$
33625 := $(C(5)\times(C(C(2))-(C(6)+((3^{3})))))$
33633 := $((C((C(3)-3))/(-6))+(C(33)))$
33655 := $((5\times C((5+6)))+C((C(3)+3)))$
33669 := $(((-((C(9)+(6)))-C(C((6/3))))\times(-C(3)))$
33696 := $(-(6)\times(((9-C(6))\times C(3))-C(3)))$
33723 := $(C(3)+(((C(C(2))+(7))\times C(3))+C(C(3))))$
33792 := $(C(C(2))\times((9-7)\times 33))$
33856 := $((C((6\times 5))+C((-(8)+C(3))))-3)$
33858 := $(((C(8)+(5+8))\times C(3))+C(C(3)))$
33872 := $(2\times(((C(7)\times(-8))+C(C(3)))-3))$
33875 := $(C(5)\times(7+(8\times 33)))$
33957 := $(C(7)\times(((5\times 9)+C(3))+C(3)))$
33975 := $(((C(5)-C(7))\times 9)+C(33))$
33993 := $((C(-((3-9)))\times(-9))+(C(33)))$
34125 := $(C(5)\times((C((2+1))+C(4))\times 3))$
34209 := $((C((9+02))-C(4))\times C(3))$
34227 := $(((7+C(C(2)))\times(2+C(4)))-C(3))$
34229 := $(((C(9)\times 2)+C((C(2)\times 4)))+3)$
34235 := $(5\times(C((C(3)-C(2)))-(4\times 3)))$
34236 := $((C((6+C(3)))-C((C(2)+(4))))+C(3))$
34237 := $(73\times(C(C(2))-43))$
34239 := $((C(9)+C(C(3)))+(C(24)+3))$
34259 := $(-((9\times 5))+(C(C(2))\times(C(4)+3)))$

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34263 := $(C(3) \times ((C(6) \times (2+4)) - C(3)))$
34265 := $(-(5) \times (6 - C(((2^4)+3))))$
34273 := $-((C(3) + (C(7) \times (C(2) + (-(4) \times C(3))))))$
34288 := $(-((8+8)) + (C(C(2)) \times (C(4)+3)))$
34295 := $(5 \times C((((9 \times 2)+4)-3)))$
34312 := $(C(2) + (C(C(-((1-3)))) \times (C(4)+3)))$
34322 := $((-(2) + ((C(2)+3)^4)) + C(C(3)))$
34324 := $((((4 \times 2)+3)^4) + C(C(3)))$
34327 := $((C(7) \times ((-(2) + C(3)) \times 4)) + C(3))$
34331 := $((C(C(-((1-3)))) \times (3 + C(4))) + (C(3)))$
34356 := $(((C(6) \times 53) + (4)) \times 3)$
34389 := $(((-(C((9+8))) + C(C(3))) - C(4)) + C(C(3)))$
34391 := $(C((-((1+9)) + C(3))) \times (4+3))$
34425 := $(-(5) \times ((C((C(2)+(4))) \times (-4)) + C(3)))$
34432 := $(((C(C(2)) + C(3)) \times C(4)) - ((4^3)))$
34477 := $((-((C(7)+C(7))) + C(C(4))) - C((C(4)-3)))$
34488 := $((-(8) + C((8 \times 4))) + C((4 \times 3)))$
34489 := $(C((9 \times (8-4))) - C((-(4) + C(3))))$
34493 := $((C((C(3)+9)) + (4)) - C((-(4) + C(3))))$
34523 := $((C(3) + C((2^5))) + C((4 \times 3)))$
34533 := $(((C(C(3))/(-3)) \times (-5)) + C((4 \times 3)))$
34544 := $(-(4) \times (4 + (-(5) \times C((4 \times 3)))))$
34557 := $((C((7+5)) \times (5 \times 4)) - 3)$
34575 := $(-(5) \times ((C((7+5)) \times (-4)) - 3))$
34624 := $(C(4) \times (C(C(2)) + ((6-4) + C(3))))$
34625 := $(C(5) \times ((2 \times (C(6) - C(4))) - C(3)))$
34647 := $(C(7) + (C(C(-((4-6)))) \times (C(4)+3)))$
34657 := $-((C(7) - (C(5) \times (C(6) + (4^3)))))$
34658 := $((8^5) - ((-(6) - C(4)) \times C(3)))$
34668 := $((-(8) - ((C(6) \times (-6)) + (4))) \times C(3))$
34698 := $((C((8+9)) - (6)) + C((4 + C(3))))$
34712 := $((C(2) + C(17)) + C((4 + C(3))))$
34768 := $(-(8) + ((C(6) \times (-7)) \times (4 - C(3))))$
34776 := $(((C(6) + C(7)) \times C((7-4))) + C(C(3)))$
34835 := $(5 \times (C((C(3)-8)) - (-(4) \times C(3))))$
34845 := $((5 + C(4)) \times (C(8) - (4+3)))$
34853 := $(((3 \times C(5)) + 8) \times (C(4) + C(3)))$
34875 := $(C((5 \times 7)) - C((8 + (4 \times 3))))$
34896 := $(((C((6 \times 9)) - 8) - C(C(4)))/(-3))$
34937 := $-((C((7+3)) - C(((9 \times 4)-3))))$
34944 := $(((C(4) - C((4 \times 9)))/(-4)) \times 3)$
34965 := $((C((5+6)) - (9 \times 4)) \times C(3))$
34968 := $(8 \times ((6 \times (C(9)+(4))) - C(3)))$
34973 := $(C((C(3)-(7))) + (C(9) \times (C(4) - C(3))))$
34986 := $((6 \times (8+9)) \times C((4+3)))$
34992 := $((C((2 \times (9+9)))/4) \times 3)$
35038 := $(((C(8) \times 30) - (5)) + C(C(3)))$
35125 := $((C(52)/(-(1-5))) - C(3))$
35152 := $(C((25+1)) \times (5-3))$
35183 := $((C(38) - (1+5)) - C(C(3)))$
35199 := $((-(9) - C(9)) + C(((1+5) + C(3))))$
35236 := $(((C(6)/(-3)) + C(25)) + C(C(3)))$
35242 := $(((-(2) - C(4)) + C(25)) + C(C(3)))$
35264 := $((-((C(4) + C(6))) + C(C(2))) \times (C(5) + C(3)))$
35289 := $(C(9) + (((C(8)/2) \times 5) \times C(3)))$
35296 := $((69 \times C(C(2))) - (5 + C(3)))$
35308 := $(C(((8-03) \times 5)) + C(C(3)))$
35313 := $((C((C(3) + ((1-3)))) + (5)) + C(C(3)))$
35314 := $((C((41-3)) + C(5)) - C(C(3)))$
35323 := $((C(C(3)) + C((-(2) + C(3)))) + (5 \times 3))$
35325 := $(((5 \times C(C(2))) - 3) + C((5 + C(3))))$
35328 := $(C(8) \times ((2 \times C(3)) + (5 \times 3)))$
35329 := $((C(9) - C(2)) \times ((C(3) - (5)) + C(3)))$
35338 := $(((C(8) - (C(C(3))/(-3))) \times 5) - C(3))$
35344 := $((-(4) - (C(4) \times (-3)))^{5-3})$
35423 := $((((C(C(3)) - C(2)) \times 4)/5) + C(C(3)))$
35424 := $(4 \times ((C(2) + (C(4) \times 5)) \times C(3)))$
35456 := $(((C(6) + C(5)) - C(4)) \times (C(5)+3))$
35478 := $(((-(8) - C(7)) \times (-45)) + C(C(3)))$
35512 := $(C((C(2) + (1+5))) + C((5 + C(3))))$
35524 := $((C((4+2)) + C((5 \times 5))) + C(C(3)))$
35526 := $(((C(6)+2) + C((5 \times 5))) + C(C(3)))$
35576 := $((6 \times (C(7) + C(5))) + C((5 + C(3))))$
35624 := $(((-(4) + C(C(2))) - C(6)) \times (C(5)-3))$
35649 := $(9 \times ((4^6) - (5 \times C(3))))$
35655 := $(((55 \times C(6)) + (5)) \times 3)$
35657 := $-((C(7) - ((C(5) \times (6^5))/C(3))))$
35671 := $(-(1) + (C(7) \times ((6 + C(5)) - C(3))))$
35692 := $(-(2) + ((-(9) + C((6+5))) \times C(3)))$
35721 := $((C((1+2)) \times 7)^{5-3})$
35736 := $((C(63)/7) + (5 \times 3))$
35747 := $((((7 - C(4)) + C(7)) \times C(5)) - 3)$
35762 := $-(((C(C(2)) + ((C(6) - (7^5)))) - C(C(3))))$
35776 := $((C(6) + C(7)) \times C(((7+5)/3)))$

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35785 := $((C(((5\times 8)-7))-C(5))-C(3))$
35825 := $(((C((5^2))+C(8))+(5))+C(C(3)))$
35839 := $((C((9+(3\times 8)))-C(5))+C(3))$
35856 := $((C((6+5))-(8-5))\times C(3))$
35927 := $(((C(7)+C(2))\times 9)+C((5+C(3))))$
35934 := $(C(-(((4\times 3)-(9\times 5))))-3)$
35936 := $(C((6+C(3)))-((9-5)-3))$
35937 := $C((((7-3)+95)/3))$
35944 := $(-((C(4)-C((4\times 9))))-C((-(5)+C(3))))$
35964 := $(C((4+((C(6)/9)+(5))))+C(3))$
35968 := $(8\times(((6\times C(9))+C(5))-3))$
35969 := $(C((9+(C(6)/9)))+(5+C(3)))$
35983 := $(C(C(3))-(8-((C(9)-C(5))\times C(3))))$
35991 := $(((C((1\times 9))+C(9))-C(5))\times C(3))$
36035 := $((C(5)-C(3))+C((06+C(3))))$
36056 := $((-(6)+C(5))+C((06+C(3))))$
36126 := $((((C(6)+C(2))-1)\times 6)\times C(3))$
36141 := $(((C(14)-1)\times 6)+C(C(3)))$
36147 := $((C(7)\times(C(4)-(16)))+C(C(3)))$
36153 := $(C((C(3)+(5+1)))+((6^3)))$
36162 := $(((C(2)+C(6))+1)+C((6+C(3))))$
36224 := $(C(4)\times(C(C(2))+(2\times C((6-3)))))$
36233 := $((-(C((3+3)))+C(C(2)))+C((6+C(3))))$
36236 := $((-((C(6)-3))+C(C(2)))+C((6+C(3))))$
36244 := $((C(4)+(4))\times(C(C(2))+(-(6)+C(3))))$
36253 := $(-((C(3)-C((5+2))))+C((6+C(3))))$
36261 := $((-(1)+((C(6)+C(2))\times 6))\times C(3))$
36271 := $(((-(1)+C(7))-C(2))+C((6+C(3))))$
36274 := $(((-(4)+C(7))-2)+C((6+C(3))))$
36276 := $(((-(6)+C(7))+2)+C((6+C(3))))$
36277 := $((C(7)+C((7+26)))-3)$
36279 := $(-(9)+((-(7)\times C((2\times 6)))\times(-3)))$
36281 := $((-(1)+C(8))\times(C(2)+(63)))$
36284 := $(-(4)-(((C(8)-C(2))\times C(6))/(-3)))$
36286 := $((-(6)+((C(8)-C(2))\times C(6)))/3)$
36288 := $(((C(8)-8)\times C(2))\times(6+3))$
36297 := $(((C(7)+9)+C(2))+C((6+C(3))))$
36307 := $((C(7)+C(03))+C((6+C(3))))$
36315 := $(((C(5)+1)\times 3)+C((6+C(3))))$
36317 := $((7\times C(((-(1)+C(3))-(6))))-C(C(3)))$
36342 := $((2+(C(4)\times(C(3)-(6))))\times C(3))$
36344 := $((C(4)+C((4+3)))+C((6+C(3))))$
36347 := $(((C(7)+C(4))+3)+C((6+C(3))))$
36352 := $(C(C(2))\times((5+3)+63))$
36366 := $(((C(6)+C(6))-3)+C((6+C(3))))$
36369 := $(C(9)+(C(6)\times((C(3)\times 6)+3)))$
36396 := $((C(6)-(-(9)\times C(3)))+C((6+C(3))))$
36423 := $(((-(C(3))+C(C(2)))-(-(4)\times C(6)))\times C(3))$
36448 := $((C(8)-(4/4))+C((6+C(3))))$
36449 := $(C((9-(4/4)))+C((6+C(3))))$
36453 := $((C((3+5))+(4))+C((6+C(3))))$
36458 := $((C(8)+(5+4))+C((6+C(3))))$
36483 := $((C((C(3)-(8-4)))-(6))\times 3)$
36534 := $((C((-(4)+C(3)))+(5+6))\times 3)$
36542 := $(-(2)+(-(4)\times(C(5)-C((-(6)+C(3))))))$
36544 := $(C(4)\times((C(4)-(5))+C(C((6/3)))))$
36549 := $(-(9)\times(C(4)+(C(5)\times(-(6)-C(3)))))$
36552 := $(((2-C(5))\times(-5))+C((6+C(3))))$
36556 := $((-(6)-(-(5)\times C(5)))+C((6+C(3))))$
36568 := $(((C(8)-(6))+C(5))+C((6+C(3))))$
36582 := $(((C(2)+C(8))+C(5))+C((6+C(3))))$
36624 := $((C(4)-C(2))\times(6+(C(6)\times 3)))$
36625 := $(C(5)\times(266+C(3)))$
36638 := $(((C(8)-C(3))+C(6))+C((6+C(3))))$
36639 := $((C(9)-C(3))+C(((6\times 6)-3)))$
36648 := $((((C(8)-(4))\times C(6))+C(6))/3)$
36657 := $(-(C(7))+(-(C(5))\times(C(6)-C(C((6/3))))))$
36672 := $((C((2+7))+(6))+C((6+C(3))))$
36675 := $(-(5)\times((C(7)\times(6\times 6))-C(C(3))))$
36679 := $((C(9)+(7+6))+C((6+C(3))))$
36693 := $((C(3)+C(9))+C(((6\times 6)-3)))$
36723 := $(((C((C(3)+C(2)))/(-7))\times(-6))-C(3))$
36728 := $-((C((8\times 2))+(-(7)\times C((6\times 3)))))$
36735 := $(5\times(((C(3)+(7))\times C(6))+3))$
36744 := $((C(4)-((C(4)-(7))\times C(6)))\times(-3))$
36753 := $(((C(35)/(-7))\times(-6))+3)$
36786 := $(((-(6)+C(8))+C(7))+C((6+C(3))))$
36792 := $((C(2)-C((9+7)))\times(-(6+3)))$
36825 := $(((C(5)-C(2))-C((8\times 6)))/(-3))$
36842 := $(((2+C(4))-C((8\times 6)))/(-3))$
36844 := $(((4-C(4))+C((8\times 6)))/3)$
36846 := $((((6\times 4)\times C(8))-(6))\times 3)$
36855 := $(-(5)\times((C(5)-8)\times(-63)))$
36861 := $(-(1)+((-(6)+C((8\times 6)))/3))$
36862 := $(-(2)+(C((6\times 8))/(6-3)))$

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36863 := $((3-C((6\times 8)))/(-(6-3)))$
36865 := $(-((5-6))+(C((8\times 6))/3))$
36866 := $((6+C((6\times 8)))/(6-3))$
36869 := $(((9+6)+C((8\times 6)))/3)$
36871 := $((1\times 7)+(C((8\times 6))/3))$
36872 := $(C(C(2))+(((-(7)+C(8))\times C(6))/3))$
36882 := $((2+C((8+8)))\times(6+3))$
36883 := $((C(3)-8)+(C((8\times 6))/3))$
36922 := $(((2^{C(2)})+C(9))+C((6+C(3))))$
36928 := $((C((8+2))-9)+C((6+C(3))))$
36936 := $(C(6)\times(3\times((9\times 6)+3)))$
36937 := $(C((7+(C(3)/9)))+C((6+C(3))))$
36944 := $(-(C(4))+(-(4)\times(9-C((-(6)+C(3))))))$
36946 := $(((C(6)+C(4))+C(9))+C((6+C(3))))$
36962 := $(C(C(2))+(((C(6)+9)\times 6)\times C(3)))$
36963 := $((((C(3)\times 6)+9)\times C(6))+C(3))$
37042 := $(-(2)+(4\times C((07\times 3))))$
37044 := $(4\times C((((4\times 0)+7)\times 3)))$
37084 := $((-(4)+C(8))\times 073)$
37124 := $(4\times((C(21)-(7))+C(3)))$
37146 := $(-(6)-(-(4)\times((1+C(7))\times C(3))))$
37159 := $(((C(9)\times 51)+(7))-C(3))$
37179 := $(C(9)\times((7+17)+C(3)))$
37184 := $(-(4)\times(-(8)+((-(1)-C(7))\times C(3))))$
37186 := $(((C(6)\times 81)+(7))+C(C(3)))$
37222 := $(-(C(2))+((2-C(C(2)))\times(-73)))$
37224 := $(-((C(4)+C(2)))\times(C(C(2))-(C(7)\times 3)))$
37225 := $(-(5)+((2-C(C(2)))\times(-73)))$
37234 := $((((C(4)\times 3)^2)+C(7))+C(3))$
37244 := $(-(4)\times(4-((2+C(7))\times C(3))))$
37248 := $(((C(8)\times(-4))-C(2))+C((7+C(3))))$
37251 := $((-(1)\times C(5))+(C(C(2))\times 73))$
37252 := $((C(((C(2)+(5))\times 2))-(7))+C(C(3)))$
37259 := $(C((9+((5\times 2)+7)))+C(C(3)))$
37262 := $((C(26)+C(27))+3)$
37279 := $(-(97)+(C(C(2))\times 73))$
37287 := $((((7+C(8))\times 2)+C(7))\times C(3))$
37288 := $(-(88)+(C(C(2))\times 73))$
37297 := $(-(79)+(C(C(2))\times 73))$
37324 := $(4\times(C((C(2)+3))+C((-(7)+C(3)))))$
37341 := $((-(1)-(-(4)\times(3+C(7))))\times C(3))$
37349 := $(C((9+4))\times(C(3)-(7+3)))$
37368 := $-(((C(8)-(-(6)\times(C(3)-C(7))))\times C(3)))$
37372 := $((C(C(2))\times 73)-(7-3))$
37376 := $(C(C(((6-7)+3)))\times 73)$
37382 := $(2\times((8+C(C(3)))-(C((7+3)))))$
37395 := $((C(-(((5-9)\times 3)))-C(7))\times C(3))$
37413 := $(((C(C((3+1)))-C(4))/7)-C(3))$
37416 := $(-(6)+(((1-C(C(4)))/(-7))-C(3)))$
37421 := $(((C((1\times 2))-C(C(4)))/(-7))-C(3))$
37422 := $((((2/2)-C(C(4)))/(-7))-C(3))$
37423 := $(((-((3\times 2))-C(C(4)))/(-7))-C(3))$
37426 := $(((C((6/2))+C(C(4)))/7)-C(3))$
37427 := $(C(7)+((C(C(2))-(4))\times 73))$
37437 := $(((C((7-3))-C(C(4)))/(-7))-3)$
37448 := $(C(8)-((4+(-(4)\times C(7)))\times C(3)))$
37457 := $(-(7)+(((-(C(5))-C(C(4)))/(-7))-3))$
37471 := $((((-(1)+C(7))+C(C(4)))/7)-C(3))$
37475 := $(((C(-((5-7)))-C(C(4)))/(-7))+C(3))$
37476 := $(((-((6-7))-C(C(4)))/(-7))+C(3))$
37483 := $((((C(3)\times(-8))-C(C(4)))/(-7))+3)$
37494 := $(((C(C(4))+(C((9-4))))/7)+C(3))$
37542 := $(-(2)-(-(4)\times(C(5)+C((7\times 3)))))$
37573 := $(C((C(3)+(7)))-((C((5+7))+3)))$
37576 := $(-(C((6\times(7-5))))+C((7+C(3))))$
37584 := $(-((4-8))\times((5+C(7))\times C(3)))$
37596 := $((-(6)+C(9))\times(C(5)-73))$
37602 := $((C((20+6))+C(7))+C(C(3)))$
37625 := $(-(C(5))\times(C(C(2))+((C(6)-(C(7)\times 3)))))$
37665 := $(-(5)\times(C((6+6))-C((7\times 3))))$
37764 := $(((-(4)-C(6))\times 7)+C((7+C(3))))$
37824 := $((-(C(4))+C(C(2)))+(C(8)\times 73))$
37827 := $((C((7\times C(2)))-8)-(7\times C(C(3))))$
37844 := $-((C(4)+(-(4)\times((8+C(7))\times C(3)))))$
37863 := $((36\times(C(8)-(7)))+C(C(3)))$
37884 := $((-(4)+C(8))+(C(8)\times 73))$
37888 := $(C(8)\times((8/8)+73))$
37921 := $(-(1)+(2\times(-((C(9)-(7)))+C(C(3)))))$
37935 := $(-(5)\times((C((3+9))\times 7)-C(C(3))))$
37973 := $(C((C(3)+(7)))-C((C((9-7))+3)))$
37984 := $(-(4)\times(8+((-(9)-C(7))\times C(3))))$
38037 := $((C(-((7-30)))+C(8))\times 3)$
38126 := $(-(C(6))-(2\times(C((1\times 8))-C(C(3)))))$
38177 := $((C(7)\times 71)+C((8\times 3)))$
38213 := $(C((31-2))+C((8\times 3)))$

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38225 := $(-((C(5)-C(2)))-(2\times(C(8)-C(C(3)))))$
38234 := $((-(4)\times C(3))-(2\times(C(8)-C(C(3)))))$
38269 := $((9+62)\times(C(8)+C(3)))$
38279 := $(-((9\times 7))-(2\times(C(8)-C(C(3)))))$
38325 := $((5^2)\times((3\times C(8))-3))$
38326 := $((-(6)\times((-(C(2))+C(C(3)))-C(8)))/(-3))$
38328 := $(-(8)+(2\times(C(C(3))-(C(8)+3))))$
38336 := $((6/3)\times(C(C(3))-(C(8)+3)))$
38337 := $(((-(C(7))+C(C(3)))-(3^8))\times 3)$
38342 := $(((-(C((2\times 4)))+C(C(3)))-C(8))+C(C(3)))$
38348 := $((8/4)\times(C(C(3))-((C(8)-3))))$
38352 := $(2\times((5+C(C(3)))-(8^3)))$
38354 := $((((-(4)\times C(5))+C(C(3)))-C(8))+C(C(3)))$
38358 := $((((-(8)\times C(5))+C(C(3)))-8)+C(C(3)))$
38376 := $((C(6)\times((7\times 3)+C(8)))/3)$
38488 := $(8\times((C(8)\times(-4))+C((-(8)+C(3)))))$
38525 := $(C(5)-((-(25)\times C(8))\times 3))$
38535 := $(-(5)\times((-((3\times 5))\times C(8))-C(3)))$
38559 := $((C(9)\times 55)-(C(8)\times 3))$
38629 := $(((C(9)\times 26)-8)+C(C(3)))$
38634 := $(((-(4)+C(C(3)))-(C(6)+C(8)))+C(C(3)))$
38639 := $(((-(C(9))+C(C(3)))-((6-8)))+C(C(3)))$
38677 := $(-(7)-(-(76)\times(C(8)-3)))$
38691 := $((1+((9\times C(6))-C(8)))\times C(3))$
38718 := $(-(81)\times((7-C(8))+C(3)))$
38723 := $(C(3)+(2\times(-((C(7)-8))+C(C(3)))))$
38742 := $(2\times(-((4\times 78))+C(C(3))))$
38745 := $(-(5)\times(((C(4)-C(7))-8)\times C(3)))$
38779 := $-((C((9+7))-C((7\times(8-3)))))$
38808 := $((80-8)\times(C(8)+C(3)))$
38822 := $-((C(C(2))-(2\times(-((8+8))+C(C(3))))))$
38838 := $(((-(8)+C(C(3)))+(-(8)-C(8)))+C(C(3)))$
38844 := $((-(44)+C(8))\times 83)$
38852 := $((-(2)+C(C(-((5-8)))))-(C(8)-C(C(3))))$
38862 := $(((C(2)+C((C(6)/8)))-C(8))+C(C(3)))$
38875 := $(C(5)\times(C(7)-(8+(8\times 3))))$
38912 := $(C(C(2))\times(1+((9\times 8)+3)))$
38926 := $(-(6)+(2\times(-((C(9)-C(8)))+C(C(3)))))$
38927 := $(-(7)-(-(2)\times((C(9)-8)\times C(3))))$
38932 := $(2\times(C(C(3))-((C(9)-(8^3)))))$
38942 := $(2\times(4+((C(9)-8)\times C(3))))$
38964 := $(((-(4)\times C((6+9)))+C(8))\times(-3))$
39023 := $((C(C(3))-C(-((2-09))))+C(C(3)))$
39088 := $(8\times(C((8+09))-C(3)))$
39123 := $(C(C(3))-((((C(2)+1)-C(9))\times C(3))))$
39221 := $(-(1)+(2\times((C(2)\times(-9))+C(C(3)))))$
39223 := $(-(C((3+2)))+(2\times(-(9)+C(C(3)))))$
39225 := $-((C(5)+(2\times(C(2)-C((9\times 3))))))$
39235 := $(-(C(5))+((C(C(3))\times 2)-(9-3)))$
39241 := $-((C((1+4))+(-(2)\times C((9\times 3)))))$
39242 := $(-(2)\times((C(4)-2)-C((9\times 3))))$
39243 := $((3-C(4))+C((-((2-9))+C(3))))$
39244 := $((4-C(4))+C((-((2-9))+C(3))))$
39245 := $-(((C(5)-(4))+(-(2)\times C((9\times 3)))))$
39246 := $((6-C(4))+C((-((2-9))+C(3))))$
39247 := $((7-C(4))+C((-((2-9))+C(3))))$
39248 := $((8-C(4))+C((-((2-9))+C(3))))$
39249 := $(-(9)-((4-(2\times C(9)))\times C(3)))$
39259 := $(-((9\times 5))+C((-((2-9))+C(3))))$
39265 := $(-((C(5)-(6)))+(2\times(9+C(C(3)))))$
39272 := $(2\times(7-((2-C(9))\times C(3))))$
39292 := $(C(((C(2)+9)\times 2))-(9+3))$
39293 := $((C(39)-C(-((2-9))))-C(C(3)))$
39295 := $-((C(5)-(((C(9)+2)+C(9))\times C(3))))$
39297 := $(-(7)+C(((9-2)+(9\times 3))))$
39298 := $(C(((8+9)\times 2))-(9-3))$
39306 := $((-(60)+C(C(3)))+(C((9\times 3))))$
39307 := $(C((7-((0-3)\times 9)))+3)$
39312 := $(2\times((-(1)\times C(3))+C((9\times 3))))$
39315 := $((-(51)+C(C(3)))+(C((9\times 3))))$
39316 := $(C(((6+1)+C(3)))+(9+3))$
39321 := $(((1\times 2)\times(C(C(3))-9))-C(3))$
39322 := $(-(C(2))+((2\times C(C(3)))-(9+C(3))))$
39324 := $((-(42)+C(C(3)))+(C((9\times 3))))$
39325 := $(-(5)+((2\times C(C(3)))-(9+C(3))))$
39328 := $(8\times(C(((2^3)+9))+3))$
39342 := $(2\times(-((4\times 3))+C((9\times 3))))$
39343 := $((C(34)+C(3))+(9+3))$
39347 := $(((-((7\times 4))+C(C(3)))+9)+C(C(3)))$
39348 := $(((8/4)\times C(C(3)))-(-(9)+C(3)))$
39351 := $((-(15)+C(C(3)))+(C((9\times 3))))$
39352 := $(2\times((5+C(C(3)))-(9+3)))$
39353 := $(((C(C(3))+(5))+C(C(3)))-(-(9)+C(3)))$
39357 := $(((7-5)\times(C(C(3))+9))-C(3))$
39358 := $(-(8)-(-((5-3))\times C((9\times 3))))$

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39361 := $(((1-6)+C(C(3)))+(C((9\times 3))))$
39362 := $(2\times(-((6/3))+C((9\times 3))))$
39364 := $(((4-6)+C(C(3)))+(C((9\times 3))))$
39365 := $(((5-6)+C(C(3)))+(C((9\times 3))))$
39367 := $(((7-6)+C(C(3)))+(C((9\times 3))))$
39368 := $(((8-6)+C(C(3)))+(C((9\times 3))))$
39372 := $((C(27)+C(C(3)))+(9-3))$
39373 := $(C(C(3))+(7+((3\times 9)^3)))$
39374 := $((C(4)+C((7+C(3))))+(9-3))$
39375 := $((C(5)\times 7)\times((C(3)-9)+C(3)))$
39376 := $(((-((6-7))+C(C(3)))+9)+C(C(3)))$
39378 := $(((C(8)-(7))\times 39)+C(C(3)))$
39392 := $((((C(2)+9)+C(C(3)))+9)+C(C(3)))$
39393 := $((C(3)+C((9\times 3)))+C((9\times 3)))$
39396 := $((((-(6)\times C(9))-3)\times(-9))+3)$
39397 := $(C((7+(9\times 3)))+(93))$
39412 := $(2\times((14+9)+C(C(3))))$
39421 := $((C(C((1+2)))+((C(4)-9)))+C(C(3)))$
39422 := $(2\times(-((C(2)-(4\times 9)))+C(C(3))))$
39423 := $((C(C(3))+(C(2)+(49)))+C(C(3)))$
39429 := $(-(9)+(2\times((4\times 9)+C(C(3)))))$
39443 := $((C(C(3))+(C(4)+(4+9)))+C(C(3)))$
39456 := $(-(6)\times((-(5)+C((4+9)))\times(-3)))$
39459 := $((C(9)\times 54)+(93))$
39464 := $-((C(4)+((C(6)/(-4))\times(C(9)+3))))$
39473 := $((-((C(3)-C(7)))\times C(-((4-9))))-C(3))$
39474 := $((C(-((4-7)))\times(4+C(9)))+C(C(3)))$
39483 := $(((C(C(3))-8)+C(-((4-9))))+C(C(3)))$
39492 := $(2\times((9\times C((4+9)))-C(3)))$
39512 := $(2\times((C(-((1-5)))+9)+C(C(3))))$
39528 := $(((8+C((C(2)+(5))))\times 9)+C(C(3)))$
39546 := $(C((C((6-4))+(5)))\times(-(9)+C(3)))$
39577 := $(-((C(7)+(C(7)\times(-59))))+C(C(3)))$
39582 := $(((-(2)+C((8+5)))-C(9))\times C(3))$
39608 := $(C(80)+(C((6\times 9))\times(-3)))$
39609 := $(9\times((06\times C(9))+C(3)))$
39622 := $(((2^{C(2)})+C(C(-((6-9)))))+C(C(3)))$
39625 := $(C(5)\times((C(2)+C(6))+(93)))$
39628 := $((-(8)+C(((C(2)\times 6)-9)))-C(C(3)))$
39636 := $(C(((6+C(3))+(6)))-(C((9\times 3))))$
39646 := $(((C(6)+C(4))+C(C(-((6-9)))))+C(C(3)))$
39647 := $(C(7)+C(((46-9)-3)))$
39648 := $((8-C(4))\times((-(6)-C(9))+C(3)))$
39653 := $(C(C(3))+(C(5)-((-(6)-C(9))\times C(3))))$
39662 := $(((C(C(2))-C(6))+C(C(-((6-9)))))+C(C(3)))$
39663 := $((C(C(3))-(((C(6)+C(6))-C(9))))+C(C(3)))$
39722 := $(2\times((C(C(2))-((C(7)-9)))+C(C(3))))$
39727 := $(-(C(7))+(2\times((C(7)+9)+C(C(3)))))$
39736 := $((C(6)+C((C(3)+(7))))+(C((9-3))))$
39741 := $(((1+C((C(4)+(7))))/9)-C(3))$
39744 := $(((4\times 4)+7)\times C((9+3)))$
39747 := $(((-(7)+C(4))\times(C(7)+9))+C(C(3)))$
39748 := $(-(C(8))+((C((C(4)-(7)))/9)+C(C(3))))$
39752 := $(C(C(-((2-5))))-((C(7)-C(9))-C(C(3))))$
39753 := $(((C(C(3))-(C(5)))+C(C(-((7-9)))))+C(C(3)))$
39798 := $(((-(8)-C(9))\times(7-9))\times C(3))$
39825 := $(-(5)\times(((-(2)\times C(8))+C(9))\times C(3)))$
39843 := $((C(34)+C(8))+((9\times 3)))$
39852 := $(((C(2)+C((5+8)))-C(9))\times C(3))$
39863 := $((C(C(3))-((6-C(8))+9))+C(C(3)))$
39869 := $((C(C((9-6)))+((C(8)-9)))+C(C(3)))$
39872 := $((C(C(2))\times(-(C(7)-C(8))))-C((9+C(3))))$
39875 := $(C(5)\times(C(7)-((8\times 9)/3)))$
39928 := $(-(8)+(C(C(2))\times((9\times 9)-3)))$
39936 := $(C(C((6/3)))\times((9\times 9)-3))$
39942 := $(C(C(2))+((C(4)+((C(9)+C(9))\times C(3)))))$
40328 := $((C(8)\times 2)+C((30+4)))$
40382 := $(2\times((C(8)+C(C(3)))-04))$
40792 := $(C(2)\times((C(9)\times 7)+(0-4)))$
40875 := $(C(5)\times(7+(80\times 4)))$
40888 := $(-(8)-((C(8)\times(-80))+C(4)))$
41123 := $((C(C(3))-C(C(2)))+C((1+C(-((1-4))))))$
41125 := $(C(5)\times(C((C(2)-1))-14))$
41229 := $((9^2)\times(C(C(2))+((1-4))))$
41256 := $(C(6)\times((C(5)+2)+C((1\times 4))))$
41375 := $(C(5)\times(C(7)-((3\times 1)\times 4)))$
41463 := $((-(3)+C((6\times 4)))\times(-(1-4)))$
41466 := $(-(6)-(C((6\times 4))\times(1-4)))$
41489 := $((C(9)\times((-(8)+C(4))+1))-C(4))$
41536 := $(((C(6)\times 3)\times C((5-1)))+C(4))$
41593 := $((-(3)+C((-(9)+C((5-1)))))/4)$
41595 := $((5+C((-(9)+C((5-1)))))/4)$
41625 := $(((C(5)-C(2))+C(6))\times C((1+4)))$
41635 := $(C(((-(5)+C(3))+(6)))+C(C(-((1-4)))))$
41683 := $(C(C(3))+(8\times(6+C(14))))$

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41875 := $(C(5) \times (C(7) - (8 \times (1^4))))$
41976 := $(-(6) \times ((-(7) \times C((9+1))) + (4)))$
41984 := $(C(4) \times (((-(8) + C(9)) - 1) - C(4)))$
42125 := $(((C(5) - 2) \times C((-(1) + C(2)))) - C(4))$
42237 := $-((C(7) + ((3 - C(22)) \times 4)))$
42277 := $-((C(7) - ((-(7) - C(22)) \times (-4))))$
42279 := $(-(C(9)) + ((-(7) \times C(C(2))) \times (-(C(2) + (4)))))$
42327 := $((C(7) + C(C(2))) + (3 \times C(24)))$
42332 := $(((C((C(2) + C(3))) - C(3)) - C(C(2))) - (4))$
42336 := $(C(6) \times (((C(3) - 3) \times C(2)) + (4)))$
42346 := $(((-(6) + C(4)) \times C((3^2))) + C(4))$
42358 := $(-((C(8) + (5))) + C((C(3) + (2 \times 4))))$
42363 := $(C((C(3) + C((6/3)))) - C((2 \times 4)))$
42368 := $((C(8) + (6 \times (C(3) - 2))) \times C(4))$
42375 := $(C(5) \times (C(7) - ((3 - 2) \times 4)))$
42376 := $(-(C(6)) + (C(((-(7) + C(3)) + 2)) \times 4))$
42423 := $(((C((C(3) + C(2))) - (4)) - C(C(2))) + C(4))$
42432 := $((C(C(2)) \times ((3^4) + 2)) - C(4))$
42464 := $(C(46) - C((42 - 4)))$
42494 := $((C(4) \times (C(9) - C(4))) - (2 + C(4)))$
42496 := $(C((C(6)/9)) + ((-(C(4)) + C(C(2))) \times C(4)))$
42532 := $(C((C(2) + C(3))) - C(((5 - 2) + 4)))$
42533 := $(-(C(3)) + ((C((C(3) - (5))) - C(2)) \times 4))$
42536 := $(((-(6) + C((C(3) - (5)))) - C(2)) \times 4)$
42543 := $(C(C(3)) - (-(45) \times (C(C(2)) - (4))))$
42552 := $-((C(2) - (5 \times ((C(5) + C(2)) \times C(4)))))$
42555 := $(-(5) + (5 \times ((C(5) + C(2)) \times C(4))))$
42591 := $(-(1) + (C(((9 + 5) + C(2))) \times 4))$
42592 := $(C(((29 - 5) - 2)) \times 4)$
42599 := $-((C(9) - ((C(9) - (52)) \times C(4))))$
42624 := $((C(((4^2) + 6)) + C(2)) \times 4)$
42625 := $(C((5^2)) + C((6 + 24)))$
42632 := $(C(C(2)) - (-(3) \times (C(6) + C(24))))$
42653 := $((C(35) - C(6)) - (2 + 4))$
42657 := $((C((7 \times 5)) - C(6)) + ((2 - 4)))$
42672 := $(((2 \times 7) \times 6) \times (C(C(2)) - (4)))$
42675 := $((C((5 \times 7)) - C(6)) + ((2^4)))$
42683 := $(C((C(3) + 8)) - (C(6) - (24)))$
42688 := $-((C(8) - (((-(8) + C(6))^2) - C(4))))$
42694 := $((((C(4) + C(9)) \times C(6)) - C(C(2)))/4)$
42723 := $(C(C(3)) + (C(C(2)) \times ((7^2) - 4)))$
42743 := $((C(34) + C((7 + C(2)))) + C(4))$
42747 := $(C(((7 \times 4) + 7)) - (2 \times C(4)))$
42752 := $(((2 \times (-(5) + C(7))) - C(2)) \times C(4))$
42752 := $(((2 \times (-(5) + C(7))) - C(2)) \times C(4))$
42803 := $(C((C(3) + 08)) - ((C(2) + C(4))))$
42807 := $(((C(70) - C(8))/C(2)) - (4))$
42811 := $(C(-((1 - (18 \times 2)))) - C(4))$
42813 := $(C((C(3) + (1 \times 8))) + (2 - C(4)))$
42843 := $(C((3 + (4 \times 8))) - (C(2) \times 4))$
42844 := $(((C(44) + C(8))/2) - (4))$
42857 := $((C((7 \times 5)) - (82)) + C(4))$
42863 := $(C((C(3) + C(-((6 - 8))))) - (C(2) + (4)))$
42869 := $(C((C((9 - 6)) + 8)) - (2 + 4))$
42871 := $(C((((-(1) - C(7))/(-8)) - C(2))) - (4))$
42872 := $-((C(2) - (((C(7) - 8) \times 2) \times C(4))))$
42875 := $C(((((5 \times 7) \times 8)/2)/4))$
42878 := $((((8 - C(7)) \times C(8)) + C(2))/(-4))$
42883 := $(C((C(3) + 8)) + ((8/2) + 4))$
42931 := $(C(((-(1) + C(3)) + 9)) - ((C(2) - C(4))))$
42932 := $(C((C(2) + C(3))) + (-((9 - 2)) + C(4)))$
42938 := $(C((8 + C(3))) + ((-(9) + C(2)) + C(4)))$
42939 := $(C((((9/3) \times 9) + C(2))) + C(4))$
42941 := $(C(-((1 - (4 \times 9)))) + (2 + C(4)))$
42944 := $((((4 - C(4)) + C(9)) + 2) \times C(4))$
42945 := $((((-(5) + C(4)) \times C(9)) - 2) - C(4))$
42947 := $(C(-((7 \times (4 - 9)))) + ((C(2) + C(4))))$
42957 := $((C((7 \times 5)) + ((9 \times 2))) + C(4))$
42966 := $((-((6 \times 6)) + C(9)) \times (-(2) + C(4)))$
42983 := $(C((C(3) + 8)) + (9 \times (C(2) + (4))))$
42995 := $((59 \times C(9)) - ((2^4)))$
43125 := $((C(5) \times 2) + C((1 + 34)))$
43136 := $((((C(6) \times 3) - 1) + C(3)) \times C(4))$
43154 := $-((C(4) - ((C(5) + 1) \times C((3 + 4)))))$
43157 := $((C(7) \times (C(5) + 1)) + (3 - C(4)))$
43204 := $(((40^2) \times C(3)) + (4))$
43217 := $((C(7) - 1) + C(((-(2) - C(3)) + C(4))))$
43218 := $(C((8 - 1)) + C(((-(2) - C(3)) + C(4))))$
43258 := $(((C(8) - C(5)) + C((C(2) + C(3)))) - (4))$
43264 := $(C(4) \times (((C(6) + C(2)) \times 3) + (4)))$
43276 := $(((-(6) + C(7)) + C((C(2) + C(3)))) + C(4))$
43325 := $(C(5) + ((-(2) + C(3)) \times C((3 \times 4))))$
43345 := $-((((C(5) - C((4 \times 3))) \times C(3)) - C(4)))$
43375 := $(C(5) \times (C(7) + ((3 - 3) + 4)))$

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$43388 := ((C(8) + C((8 + C(3)))) - ((3 - 4)))$
$43392 := ((((C(C(2)) - (C(9))) \times (-3)) + C(3)) \times C(4))$
$43397 := ((C((7 + 9)) - 3) + C(34))$
$43416 := ((C(6) \times (-(1 - 4))) \times (3 + C(4)))$
$43452 := ((C(C(2)) - ((C(5) \times (C(4) + C(3)))))) \times (-4))$
$43464 := (((4^6) + C(4)) + C(34))$
$43472 := ((C((C(2) \times 7)) - C((4 \times 3)))/4)$
$43524 := (((C((C(4)/2)) - (C(5)))/(-3)) \times (-4))$
$43527 := ((C(7) \times (2 + C(5))) - 34)$
$43557 := ((C(7) \times (C(5) + (5 - 3))) - (4))$
$43569 := (9 \times (C(6) - (C(5) \times (C(3) - C(4)))))$
$43584 := ((((4 \times C(8)) - (5))/3) \times C(4))$
$43597 := ((-(7) + C(9)) + C((5 \times (3 + 4))))$
$43615 := (C(((5 - 1) \times 6)) + C((C(3) + (4))))$
$43616 := ((C(6) + C(16)) + C(34))$
$43624 := (((C(C(4)) + 2)/6) + (-(3) - C(4)))$
$43634 := ((C(43) - C((6 + C(3)))) + C(4))$
$43712 := (((2 \times C((1 \times 7))) - 3) \times C(4))$
$43725 := (-(5) \times (C(C(2)) - ((C((7 \times 3)) - (4)))))$
$43732 := (2 \times (((3^7) + C(C(3))) - (4)))$
$43742 := (2 \times (C((4 \times 7)) - ((3^4))))$
$43749 := ((-((9^4)) - C(7)) + C(-((C(3) - C(4)))))$
$43875 := (C(5) \times (C(7) - ((8 \times (3 - 4)))))$
$43904 := (((-(40) + C(9)) - 3) \times C(4))$
$43912 := (2 \times (C((1 + (9 \times 3))) + (4)))$
$43921 := (((1 + C(C(2))) \times 9) + C(34))$
$43923 := (3 \times ((C(2) + (9/3))^4))$
$43928 := -((C((8 + 2)) - ((C(9) - C(3)) \times C(4))))$
$43937 := (-(C(7)) + (((C(C(3)) \times 9) - C(3))/4))$
$43948 := (((C(8) + (4)) \times 9) + C(34))$
$43952 := -((C(C(2)) - (-(5) + (C(9) \times (-(3) + C(4))))))$
$43956 := (C(6) + ((-(5) \times C(9)) \times (-(3 \times 4))))$
$43957 := -((C(C((7 - 5))) + (C(9) \times (3 - C(4)))))$
$43981 := ((-((1 \times 8)) + C(9)) \times (-(3) + C(4)))$
$44096 := ((690 \times C(4)) - C(4))$
$44192 := (C(C(2)) + ((C(9) - 1) \times (C(4) - (4))))$
$44199 := (-(C(9)) + ((C(9) - C(-((1 - 4)))) \times C(4)))$
$44226 := (((-(C(6)) \times C(C(2))) + C((2 + C(4))))/4)$
$44247 := (C(7) \times ((C(4) \times 2) + (4/4)))$
$44253 := -((C(C(3)) - (C(((5 \times 2) \times 4)) - C(4))))$
$44263 := (C(C(3)) + ((6 \times C((2^4))) + (4)))$
$44265 := (((-(5) + C(6))^2) - (4^4))$
$44288 := (C(8) + ((C(8) - C(-((C(2) - C(4)))))/(-4)))$
$44325 := ((C((5 \times C(2))) - C(C(3))) + (4 + 4))$
$44378 := (C(87) - C(((3^4) + 4)))$
$44385 := ((C((5 \times 8)) - C(C(3))) - (-(4) - C(4)))$
$44416 := ((C((6 + 1)) + (4)) \times (C(4) + C(4)))$
$44469 := (C(9) \times (C((6 - (4/4))) - C(4)))$
$44492 := (C(C(2)) + ((C(9) + (4)) \times (C(4) - (4))))$
$44533 := ((C((3 \times 3)) \times (C(5) - C(4))) + C(4))$
$44573 := ((C(3) \times ((C(7) \times 5) - C(4))) - (4))$
$44657 := -((C(7) + ((C(5) \times (-6)) \times (C(4) - (4)))))$
$44671 := (-(1) + ((C(7) + (6)) \times (C(4) + C(4))))$
$44672 := (C(2) \times ((C(7) + (6)) \times (4 \times 4)))$
$44682 := (-(C((2 \times 8))) - (C((-(6) + C(4)))/(-4)))$
$44696 := (((C(6) - 9) \times C(6)) - ((4 \times 4)))$
$44773 := -((C(3) - ((C(7) + (7)) \times (C(4) + C(4)))))$
$44853 := -(((C(C(3)) - (C(5) \times (-8))) - (C(C(4))/4)))$
$44857 := (-(7) + (((C(5) + C(8)) + C(4)) \times C(4)))$
$44875 := (C(5) \times (7 + (8 \times 44)))$
$44924 := -((C((4 + C(2))) - ((C((9 \times 4)) - (4)))))$
$44928 := ((8 + C(-((2 - 9)))) \times (C(4) + C(4)))$
$44931 := (-(1) - (((C(3) - C(9)) \times C(4)) - (4)))$
$44932 := (C(2) - (((C(3) - C(9)) \times C(4)) + (4)))$
$44942 := (((-(2) + C(4)) \times C(9)) - (4^4))$
$44952 := ((C(C(2)) + (C(5) \times (-94))) \times (-4))$
$45184 := (C(4) \times (81 + (5^4)))$
$45194 := (-(4) - (C(9) \times ((-(1) - C(5)) + C(4))))$
$45264 := (((-(4) + C(6))^2) + (5 \times C(4)))$
$45276 := ((6 \times C(7)) \times (2 + (5 \times 4)))$
$45343 := (C((C(3) + (4))) + ((3^5) \times C(4)))$
$45375 := (C(5) \times ((7^3) + (5 \times 4)))$
$45479 := (((C(9) - (7)) \times C(4)) - C((5 + 4)))$
$45564 := (C(4) - (((C(6) - C(5)) \times C(5)) \times (-4)))$
$45568 := (C(8) \times (((6 \times 5) - 5) + C(4)))$
$45576 := -((C(6) \times (C(7) - (554))))$
$45625 := (C(5) \times (C(C(2)) - ((C(6) - (5)) - C(4))))$
$45631 := (((-(1) \times C(C(3))) \times (6 + 5)) + C(C(4)))$
$45632 := ((C(C(2)) \times (-(36) + C(5))) + C(4))$
$45738 := (((8 + C(3)) + C(7)) \times (C(5) - (4)))$
$45752 := ((C(2) + C(5)) \times (C(7) + (5 - 4)))$
$45783 := ((3 \times C(8)) + (C(7) \times (C(5) + (4))))$
$45799 := -((C(9) - ((C(9) - (7 - 5)) \times C(4))))$
$45824 := (C(4) \times (C(-((2 - 8))) - (C(5) \times (-4))))$

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45843 := $-((C(C(3)) - ((C(C(4)) - (8 \times 5))/4)))$
45875 := $(C(5) \times ((C(7) - (8 \times 5)) + C(4)))$
45926 := $((C((6^2)) - C(9)) - (5 - 4))$
45927 := $(C((7 + 2)) \times (9 + 54))$
45933 := $(((C(3) - 3) + C(9)) \times (C(5) - C(4)))$
45936 := $((63 \times C(9)) + (5 + 4))$
45945 := $(5 \times (((C(4) + 9) \times C(5)) + C(4)))$
46144 := $(C(C(4)) - (C(((4 \times 16) - 4))))$
46161 := $(((1 - C(6)) \times (1 - C(6))) - C(4))$
46199 := $(-(9) + ((C(9) - (1 + 6)) \times C(4)))$
46216 := $((C(6) + (1 \times 2)) \times (C(6) - (4)))$
46224 := $(C((4 + 2)) \times ((2 + C(6)) - (4)))$
46228 := $(((C((8 - 2)) - 2) \times C(6)) + (4))$
46266 := $((-(6) + C((6^2))) - (6 \times C(4)))$
46271 := $(-(1) + ((C((7 + 2)) - (6)) \times C(4)))$
46272 := $(((27^2) - 6) \times C(4))$
46278 := $((((C(8) + C(7)) + 2) \times C(6))/4)$
46296 := $(C(6) + ((9 \times C(C(2))) \times (6 + 4)))$
46305 := $(5 \times C(((0 - 3) + (6 \times 4))))$
46306 := $(-((C(60) - (C(3) \times 6))) + C(C(4)))$
46317 := $(((C(7) \times (-1)) + C(36)) + (4))$
46319 := $(-(91) \times (3 - C(C((6 - 4)))))$
46325 := $(-(5) \times ((-(C(2)) - C((C(3) - (6)))) + (4)))$
46345 := $(-(5) \times ((-(4) - C((C(3) - (6)))) - (4)))$
46349 := $(((C((9 \times 4)) - C(3)) - C(6)) - C(4))$
46364 := $(((4 - C(6)) \times (-(3) - C(6))) - C(4))$
46368 := $(((-(8) - C(6)) + C(36)) - C(4))$
46375 := $(C(5) \times (7 + 364))$
46394 := $((C(4) \times (C(9) - 3)) - (6 + C(4)))$
46436 := $((C(((6 + 3) \times 4)) - C(6)) - (4))$
46457 := $(-(7) + (((C(5) - (4)) \times 6) \times C(4)))$
46479 := $(((-(C(9)) - C((-(7) + C(4)))) + (6))/(-4))$
46497 := $(((-(7) + C((9 \times 4))) - C(6)) + C(4))$
46522 := $((C((C(2) + (25))) \times (-6)) + C(C(4)))$
46524 := $(-(4) - ((C(C(2)) \times (C(5) - C(6))) + C(4)))$
46528 := $(-(8) \times (C(2) + ((C(5) - C(6)) \times C(4))))$
46539 := $(C((9 + C(3))) - (C(5) - C((6 - 4))))$
46552 := $(C(2) \times (-(5) - ((C(5) - C(6)) \times C(4))))$
46557 := $(-(7) \times ((-(5) \times C((5 + 6))) + (4)))$
46565 := $(C(5) + (C(6) \times ((-(5) + C(6)) + (4))))$
46568 := $((C(8) \times (C(6) - C(5))) - (6 \times 4))$
46572 := $-((C(C(2)) - ((((C(7) - C(5)) \times C(6)) - (4)))))$
46576 := $((C(6) \times (C(7) - C(5))) - C(C((6 - 4))))$
46584 := $(-(4) - ((C(8) \times (C(5) - C(6))) + (4)))$
46586 := $(-((6 - (8^5))) + C((6 \times 4)))$
46588 := $((C(8) \times (85 + 6)) - (4))$
46591 := $(-(1) + ((C(9) + ((5 - 6))) \times C(4)))$
46592 := $(((-(2) + C(9)) - ((5 - 6))) \times C(4))$
46593 := $(C((C(3) + 9)) - ((5 - 6) + C(4)))$
46595 := $-((C(5) - ((C(9) - ((5 - 6))) \times C(4))))$
46598 := $(C((-(89) + C(5))) + (6 - C(4)))$
46623 := $-((C(3) + ((2 - ((6^6) - 4)))))$
46624 := $((C(4)/(-2)) + C((6^{6-4})))$
46625 := $-((C((5 - 2)) - (((6^6) - 4))))$
46626 := $(C((6^2)) - (6 + (6 \times 4)))$
46629 := $((C((9 \times C(2))) - C(6))/C((6 - 4)))$
46631 := $((-(1) + C(36)) - ((6 \times 4)))$
46638 := $((-(8) + C(36)) - ((6 + 4)))$
46639 := $((-(9) + C(36)) - C((6 - 4)))$
46652 := $(C((((2 + 5) \times 6) - 6)) - (4))$
46655 := $(-((5/5)) + C((6^{6-4})))$
46662 := $(C(2) + (((6^6) - 6) + 4))$
46664 := $(C(-((4 - 6))) + C((6^{6-4})))$
46668 := $(C((8 - 6)) + ((6^6) + 4))$
46683 := $(C(3) + C(((8 + (6/6)) \times 4)))$
46693 := $(-(((3 \times 9) - (6^6))) + C(4))$
46696 := $(((C(6)/(-9)) + (6^6)) + C(4))$
46697 := $-((C(7) + ((C(9) + (6)) \times (-64))))$
46712 := $-C(2) + (-1 + 7)^6 + C(4)$
46715 := $-5 + (-1 + 7)^6 + C(4)$
46726 := $(C((6^2)) + ((7 \times (6 + 4))))$
46766 := $(((6 - C(6)) \times (-(7) - C(6))) - C(4))$
46784 := $((((-(4) + C(8)) + (7)) + C(6)) \times C(4))$
46844 := $(-(4) - (((-(4) - C(8)) - C(6)) \times C(4)))$
46848 := $(((C(8) - ((4 - 8))) + C(6)) \times C(4))$
46866 := $((-(6) - C((6 \times 8))) + C((C(6)/4)))$
46872 := $-((C(((C(2) \times 7) - 8)) - C((C(6)/4))))$
46875 := $(C(5) \times (C(7) + (8 + (6 \times 4))))$
46876 := $(((C(6) - ((7 - 8))) \times C(6)) + (4))$
46896 := $((C(6) \times (C(9) - C(8))) + (6 \times 4))$
46912 := $(((-(2) + C((1 \times 9))) + (6)) \times C(4))$
46915 := $((C(5) \times (-1)) + ((C(9) + (6)) \times C(4)))$
46926 := $((-(C(6)) \times (C(C(2)) - (C(9)))) + (C(6)/4))$

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46928 := $(-(8)+(((C(C(2))-(C(9)))\times(-C(6)))+C(4)))$
46933 := $((-(3)+C((C(3)+9)))+(C(6)+C(4)))$
46936 := $(((6^{-3+9})+C(6))+C(4))$
46948 := $(((C(8)+C((4\times 9)))-C(6))-(4))$
46976 := $((((6-7)+C(9))+(6))\times C(4))$
46984 := $-(((C(4)-8)-((C(9)+(6))\times C(4))))$
46995 := $(-((5\times 9))+((C(9)+(6))\times C(4)))$
47063 := $((C(36)+C(07))+C(4))$
47097 := $(-(7)+((C(9)-(0-7))\times C(4)))$
47168 := $(C(8)+C((6^{(1+7)/4})))$
47225 := $(-((5^2))\times(C(C(2))-((7^4))))$
47232 := $(((2+C((3^2)))+(7))\times C(4))$
47239 := $((C((9+C(3)))+C(C(2)))-(-(7)-C(4)))$
47278 := $(-(C((8+7)))+C((-(27)+C(4))))$
47296 := $((C(((6+9)+C(2)))-C(7))\times 4)$
47323 := $(C(3)-((C(23)-C(7))\times(-4)))$
47328 := $(((-(8)-C(23))+C(7))\times(-4))$
47365 := $(5\times((C(6)+C((3\times 7)))-(4)))$
47449 := $((C(9)+C(4))+C((C(4)-((7\times 4)))))$
47537 := $(((-(7)\times C(C(3)))+(C(5)))+C((-(7)+C(4))))$
47539 := $(((9+3)+C(5))\times(C(7)+(4)))$
47552 := $((C(C(2))\times(-((C(5)+C(5))-C(7))))-C(4))$
47573 := $-((C(C(3))-(((7^5)+7)\times 4)))$
47625 := $(C(5)\times((-(26)+C(7))+C(4)))$
47656 := $(((-(6)+C(5))\times C(6))+C((7\times 4)))$
47665 := $((((5+C(6))\times C(6))-(7))-C(4))$
47744 := $((((C(4)-(4))+C(7))+C(7))\times C(4))$
47775 := $((5\times 7)\times(-(7)-(C(7)\times(-4))))$
47843 := $(C(C(3))+(C(4)\times(-(8)-(-(7)\times C(4)))))$
47849 := $(((94\times C(8))-C(7))+C(4))$
47884 := $(((C(4)-8)\times(C(8)+C(7)))+(4))$
47924 := $(-(4)\times(-(2)-(9\times C((7+4)))))$
47933 := $(-(3)+(((C(3)+C(9))-(7))\times C(4)))$
47936 := $(((C((6-3))+C(9))-(7))\times C(4))$
47943 := $(C(3)-(-((4\times 9))\times C((7+4))))$
47956 := $((((6+C(5))+9)\times C(7))-C(4))$
48125 := $(C(5)\times(C(C(2))-(-(1)-(C(8)/(-4)))))$
48237 := $(7\times(C((C(3)-C(2)))+(8\times 4)))$
48256 := $(((6\times(C(5)+2))-8)\times C(4))$
48265 := $((((5+C(6))^2)-C(8))-C(4))$
48328 := $((-(8)\times(C(C(2))-(3^8)))-C(4))$
48359 := $((-(95)\times(3-C(8)))+(4))$
48375 := $(C(5)\times(C(7)+((3+8)\times 4)))$
48384 := $(C((4+8))\times((3\times 8)+4))$
48388 := $((-(8)\times(C(8)-(3^8)))-(4))$
48392 := $(C(2)+((C(9)+C(3))\times C((8-4))))$
48448 := $((84\times(C(4)+C(8)))+C(4))$
48464 := $(C(4)+((C(6)+(4))^{8/4}))$
48497 := $(-(7)-(-(94)\times(C(8)+(4))))$
48522 := $-(((2^{C(2)})-(C(58)/4)))$
48525 := $(-(C(5))+((C(C(2))-(C(58)))/(-4)))$
48528 := $((C((8+2))-C(58))/(-4))$
48536 := $(C(6)-((-((3^5))-C(8))\times C(4)))$
48546 := $-((C(6)+((C(4)-C(58))/4)))$
48561 := $((-(1)-C(6))+(C(58)/4))$
48573 := $(C(3)\times((C(7)\times 5)+(84)))$
48642 := $(-(C(2))+((C((C(4)-(6)))-C(8))/4))$
48645 := $(-(5)+((C((C(4)-(6)))-C(8))/4))$
48648 := $(((-(C(8))+C((C(4)-(6))))-8)/4)$
48664 := $((C(46)/(-(6-8)))-(4))$
48672 := $((C(C(2))-C(7))\times((C(6)+8)+C(4)))$
48676 := $((((C(6)+(7))\times C(6))+C(8))-(4))$
48764 := $((C((C(4)-(6)))-(7\times 8))/4)$
48792 := $((C(29)+(7))\times(8/4))$
48839 := $((C(9)\times(3+(8\times 8)))-(4))$
48875 := $(C(5)\times((C(7)-((8+8)))+C(4)))$
48922 := $(2\times((C(29)+8)+C(4)))$
48934 := $(C((C(4)-C(3)))+(9-C((8+4))))$
48936 := $-((C(6)-(((3+9)\times(8^4)))))$
49152 := $((((C(2)\times 5)-1)+C(9))\times C(4))$
49216 := $((((6-1)\times C(2))+C(9))\times C(4))$
49243 := $-((((C(3)-C(4))\times C((2+9)))+(4)))$
49272 := $(C((2\times 7))+((-(2)+C(9))\times C(4)))$
49275 := $-(((C(5)-C((7\times 2)))-C((9\times 4))))$
49344 := $((C(4)\times(43+C(9)))-C(4))$
49348 := $((-(C(8))+C((C(4)-C(3))))-(C(9)+C(4)))$
49375 := $(C(5)\times((C(7)-(3+9))+C(4)))$
49392 := $((2\times 9)\times C((C(3)-(9+4))))$
49397 := $(((C(7)-C((-(9)+C(3))))\times(-9))-(4))$
49432 := $(C((C(2)+C(3)))-(4-(9^4)))$
49444 := $-((C(4)-(((C(4)+(4))\times C(9))-C(4))))$
49536 := $((C((6+3))+(5\times 9))\times C(4))$
49538 := $((C(8)+(3\times 5))\times 94)$
49544 := $((C((C(4)+(4)))-C((5+9)))-C(C(4)))$

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$49572 := (C((2+7)) \times (-((5-9)) + C(4)))$
$49625 := -((C((5 \times 2)) - ((6+9)^4)))$
$49656 := (-(6) \times ((C(5) + (C(6) \times 9)) \times (-4)))$
$49728 := (8 \times ((-(2) - C(7)) + (9^4)))$
$49734 := (C((C(4) - C(3))) - ((C(7) - (-(9) \times C(4)))))$
$49735 := -((((C(5) - C(37)) + C(9)) + C(4)))$
$49739 := (C((9 + C(3))) + ((C(7) \times 9) - (4)))$
$49744 := (-((4+4)) \times (C(7) - (9^4)))$
$49792 := ((-(((2-9) \times 7)) + C(9)) \times C(4))$
$49844 := ((C(4) + (4)) \times ((8 + C(9)) - (4)))$
$49875 := ((5 \times (7+8)) \times (C(9) - C(4)))$
$49928 := ((C((8+29)) - C(9)) + (4))$
$50653 := C((C(3) + (5 + ((6 \times 0) + 5))))$
$50688 := (C(8) \times ((8 + C(6)) - C(05)))$
$50875 := (C(5) \times (7 + (80 \times 5)))$
$51365 := (-(C(56)) + C(-((C((3+1)) - C(5)))))$
$51479 := (C(9) + (((C(7) + C(4)) - 1) \times C(5)))$
$51743 := (C((C(3) + (4))) + C(-((7 \times (1-5)))))$
$51754 := ((C((4+5)) \times 71) - (5))$
$51759 := (C(9) \times ((5 \times 71)/5))$
$51786 := ((-(68) - C(7)) \times (-(1) - C(5)))$
$51858 := ((C(8) - C(5)) \times ((8+1) + C(5)))$
$51875 := (-(C(5)) \times (-((C(7)+8)) - C(-((1-5)))))$
$52114 := (C(41) - ((-(1) + C(2))^5))$
$52122 := (((2 - C(C(2))) \times (1 - C(C(2))))/5)$
$52136 := ((C(6) - C((3+1))) \times C((2+5)))$
$52222 := (-(2) + (((C(C(2)) - 2) \times C(C(2)))/5))$
$52224 := ((C(C(4)) - (2^{C(2)+2}))/5)$
$52225 := ((-(5) - ((C(C(2)) - 2) \times C(C(2))))/(-5))$
$52232 := (C(2) \times ((3^{C(2)}) - (2^5)))$
$52238 := ((8 \times (3^{C(2)})) + (-(2) \times C(5)))$
$52266 := (-(6) - (C(6) \times (C(2) + (-(2) \times C(5)))))$
$52299 := ((((9 \times C(9)) - C(2)) \times C(2)) - C(5))$
$52316 := (((C(6) + 13)^2) - C(5))$
$52324 := ((C((C(4)/2)) + C(C(3))) + (-(2) - C(5)))$
$52326 := (C(C((6/2))) + (C(32) - C(5)))$
$52336 := (-((C(6) \times (C(3) + C(3)))) + C((C(2) \times 5)))$
$52339 := ((((9 - C(C(3)))/(-3)) \times C(2)) - (C(5)))$
$52353 := (C(C(3)) - ((C(5) - C(3)) - C((2^5))))$
$52363 := ((C((3 \times 6)) \times (3^2)) - C(5))$
$52364 := ((4 - C(6)) \times (3 + (-(2) \times C(5))))$
$52384 := -((C(4) - (8 \times ((3^{C(2)}) - (5)))))$
$52416 := ((-((6+1)) \times C(4)) \times (C(2) - C(5)))$
$52422 := (-(C(2)) - (((-(2) + C(C(4))) + C(2))/(-5)))$
$52423 := ((-((C(3)+2)) + C(C((-(4) + C(2)))))/5)$
$52424 := ((C(C(4)) - (C(2) + ((4^2))))/5)$
$52425 := (((C((5-2)) - C(C(4))) - C(2))/(-5))$
$52426 := ((((6 \times 2) - C(C(4))) + 2)/(-5))$
$52427 := ((((7 - C(2)) + C(C(4))) - C(2))/5)$
$52428 := (((C((8^2)) + (4)) - C(2))/5)$
$52429 := (((-((9-2)) + C(C(4))) + C(2))/5)$
$52431 := ((((1 \times 3) + C(C(4))) + C(2))/5)$
$52432 := ((((2^3) + C(C(4))) + C(2))/5)$
$52434 := ((C(C(4)) + (34 - C(2)))/5)$
$52437 := (-(7) \times (-(3) + (C(4) \times (C(2) - C(5)))))$
$52438 := (((-(8) + C(C(3))) + C((C(4)/2))) - (5))$
$52441 := (((-(1) + C(C(4))) + ((C(4) - 2)))/5)$
$52442 := (((2 + C(C(4))) + C((-(4) + C(2))))/5)$
$52443 := ((C(3) + C(44)) - C((2^5)))$
$52444 := ((C(C(4)) + ((C(4) + (4)) + C(2)))/5)$
$52445 := (5 - ((C(C(4)) + ((C(4) - C(2))))/(-5)))$
$52446 := (((C((C(6)/4)) + C(C(4)))/C(2)) - (5))$
$52447 := (C(C((7-4))) - (4 - C((2^5))))$
$52448 := (8 - ((C(C(4)) + ((C(4) - C(2))))/(-5)))$
$52449 := (9 - ((C(C(4)) + ((C(4) - C(2))))/(-5)))$
$52451 := (C(C(-(((1^5) - 4)))) + C((2^5)))$
$52459 := (((C(9) + C(5)) \times C(4)) - C((C(2) + (5))))$
$52465 := (-(5) \times ((-((6^4)) \times C(2)) - C(5)))$
$52466 := (-(6) - ((-(C(6)) - C(C((-(4) + C(2)))))/5))$
$52479 := ((9 \times C(7)) \times ((4 + C(2)) + (5)))$
$52489 := ((9 \times (8^4)) + C(25))$
$52491 := (((1 + (9^4)) \times C(2)) - (5))$
$52493 := (((C(3) \times 9) \times C((4+2))) + (5))$
$52523 := ((((3^{C(2)}) + (5)) \times C(2)) - (5))$
$52528 := 8 \times ((-2+5)^{C(2)} + 5)$
$52533 := ((((C(C(3))/3) + (5)) \times C(2)) + (5))$
$52625 := (C(5) \times (((C(2) - C(6)) \times (-2)) + (5)))$
$52632 := -(((C(C(2)) - (3 \times C(6))) \times (C(C(2)) - (C(5)))))$
$52634 := ((C((C(4) - C(3))) - C(6)) + C((C(2) + (5))))$
$52648 := (C(8) - ((C(4) - C(6)) \times C((2+5))))$
$52728 := (-(C(8)) + (C((C(2) + (7 \times 2))) \times 5))$
$52733 := ((3 \times C(((C(3) + (7)) - C(2)))) + (5))$
$52743 := (3 \times (C(((4 \times 7) - 2)) + (5)))$

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$52762 := (C(C(2)) + (((C(6) - (7)) \times 2) \times C(5)))$
$52853 := ((3 \times C(((5+8) \times 2))) + C(5))$
$52875 := (C(5) \times (C(7) + (((8 \times 2) \times 5))))$
$52973 := -((C(3) - ((C(7) + ((9^2))) \times C(5))))$
$52992 := ((C(2) \times 9) \times (C(9) + (2+5)))$
$52997 := ((((-(7) - C(9)) \times (-9)) \times C(2)) + (5))$
$53103 := (3 \times (C(((0-1) + C(3))) + (C(5))))$
$53133 := (3 \times (C((C(3) - 1)) + (C(3) \times 5)))$
$53136 := (C(6) \times (3 + ((1 \times 3)^5)))$
$53195 := (-(5) \times (9 - C((C((1 \times 3)) - (5)))))$
$53213 := (-(C(3)) - (C(-((1 - 23))) \times (-5)))$
$53215 := ((-(5) + C(-((1 - 23)))) \times 5)$
$53225 := ((5 \times C(22)) - (3 \times 5))$
$53232 := (-(C(2)) - (-((3+2)) \times C((C(3) - (5)))))$
$53235 := ((C((-(5) + C(3))) + ((2-3))) \times 5)$
$53295 := (-(5) \times (-((9+2)) - C((C(3) - (5)))))$
$53325 := ((C((5 \times C(2))) - C(3)) - C((C(3) - (5))))$
$53352 := (((C(2) - C(5)) \times (-3)) \times (C(3) + C(5)))$
$53396 := (((C(6) + C(9)) + C(C(3))) + C((C(3) + (5))))$
$53413 := (31 \times (C((4 \times 3)) - (5)))$
$53443 := (((C(3) + (4)) \times C((4 \times 3))) - C(5))$
$53523 := (C(-((3 - 25))) + (C(35)))$
$53545 := ((-((C(5) - C(4))) - C((-(5) + C(3)))) \times (-5))$
$53564 := (-(4) - (C(6) \times (-(5 + (3^5)))))$
$53565 := (-(5) \times (-(65) - C((C(3) - (5)))))$
$53625 := ((5 + C(2)) \times ((6 + C(3)) \times C(5)))$
$53649 := (9 \times ((4 + C((6 \times 3))) + C(5)))$
$53657 := -((C(7) + (C((5 \times 6)) \times (3 - 5))))$
$53752 := (C(C(2)) + (5 \times C((7 + (3 \times 5)))))$
$53762 := (((C(26) + C(7)) \times 3) + (5))$
$53768 := ((-((C(8) - C((6 \times 7)))) - C(C(3))) - (C(5)))$
$53785 := (-(5) \times ((C(8) \times (-(7 \times 3))) - (5)))$
$53848 := ((C(8) - (4)) \times ((8 - C(3)) + C(5)))$
$53853 := (C(C(3)) + ((5 \times C((-(8) + C(3)))) - (C(5))))$
$53875 := (((5 + C(7)) + (83)) \times C(5))$
$53928 := ((C(8) - C(2)) \times ((9 - C(3)) + C(5)))$
$53946 := ((C(((C(6)/4) + 9)) + C(C(3)))/5)$
$53973 := -((C(3) + (-((7+9)) \times C((3 \times 5)))))$
$54143 := (C(-((3 - 41))) - (C((4+5))))$
$54157 := (C((7+5)) + ((1 + C(C(4)))/5))$
$54193 := ((-(3) - C(9)) + (C((1 + C(4)))/5))$
$54216 := (C(6) + ((C(12)/4) \times C(5)))$
$54243 := (C(C(3)) + (C((4 + C(2))) \times (4 \times 5)))$
$54272 := (C(C(2)) \times (((-(7) - C(2)) - (4)) + C(5)))$
$54275 := ((((-(5) + C(7)) + C(C(2))) \times C(4)) - (C(5)))$
$54277 := ((((-(7) + C(7)) + C(C(2))) \times C(4)) + (5))$
$54289 := ((((9 + C(8))^2) + (4))/5)$
$54329 := (((9 - C(C(2))) \times (C(3) \times (-4))) + (5))$
$54343 := ((C(C(3)) \times 4) - (C((34 - 5))))$
$54375 := (C(5) + (((C(7) + C(3)) + C(4)) \times C(5)))$
$54537 := -((C(7) \times (((C(3) - C(5)) + C(4)) - C(5))))$
$54624 := (((4 \times C((C(2) + (6)))) + C(C(4)))/5)$
$54625 := (C(5) \times ((C((2 \times 6))/4) + (5)))$
$54648 := (((C(8) + C(4)) + C(6)) \times (C(4) + (5)))$
$54656 := (((6^5) \times 6) + C((4 \times 5)))$
$54683 := ((C(38) - 64) - C(5))$
$54723 := (-(C(3)) - ((C(C(2)) - (74)) \times (-C(5))))$
$54743 := (C((C(3) + (4+7))) - (4 + C(5)))$
$54744 := (-((C(4) + C(4))) + C(-((7 - 45))))$
$54747 := (C(((7+4) + C((7-4)))) - (C(5)))$
$54781 := ((((-(1) + C(8)) + C(7)) \times C(4)) + C(5))$
$54784 := (C(4) \times ((C(8) + C(7)) - ((4-5))))$
$54803 := ((C((30+8)) - C(4)) - (5))$
$54832 := (C(2) \times (C((C(3) - C((8/4)))) - (5)))$
$54852 := (C(-((2 - (5 \times 8)))) - (4 \times 5))$
$54866 := (-(6) + C((6 + ((8/4)^5))))$
$54867 := (C((((7 \times 6) - 8) + 4)) - (5))$
$54872 := C((2 \times (((7 \times 8)/4) + 5)))$
$54875 := (((5 \times C(7)) \times (8 \times 4)) - (5))$
$54877 := (C((((-(7) + C(7))/8) - (4))) + (5))$
$54914 := ((C((C(4) + 1)) + (9 - C(4)))/5)$
$54917 := (C(((C(7) - 1)/9)) + 45)$
$54925 := (C(((52 + 9) + 4))/5)$
$54931 := (C(-((1 - 39))) + ((C(4) - (5))))$
$54933 := (C(C(3)) + ((3 \times 94) \times C(5)))$
$54945 := (((5 \times C((4+9))) + (4)) \times 5)$
$54966 := (C(6) - (-(6) \times ((9 + C(4)) \times C(5))))$
$54997 := (C(-(((7-9) - (9 \times 4)))) + (C(5)))$
$55146 := (C(6) - ((C((C(4) + 1))/(-5)) - (5)))$
$55245 := (-(5) \times (-(C(4)) - (C((C(2) + (5))) \times 5)))$
$55279 := ((C(9) \times (-((7^2)) + C(5))) - C(5))$
$55286 := ((C((6 \times 8))/2) - (5+5))$
$55412 := (C(C(2)) - ((C((1 + C(4))) - (C(5)))/(-5)))$
$55488 := -((C(8) + ((8 - C(4)) \times C((5+5)))))$

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55523 := $(C(C(3)) - (C(C(2)) \times (55 - C(5))))$
55562 := $(C(C(2)) - ((C(65)/(-5)) - C(5)))$
55566 := $(6 \times C((((6+5)+5)+5)))$
55625 := $((C(5) + ((2^6) \times 5)) \times C(5))$
55654 := $(C((4+5)) + (C(65)/5))$
55657 := $-((C(7) - (56 \times C((5+5)))))$
55659 := $((C(9) + (5)) + (C(65)/5))$
55744 := $(C(4) + (C(4) \times ((7 \times C(5)) - (5))))$
55832 := $(C(2) \times (C((C(3) - 8)) - (5 - C(5))))$
55836 := $((C(6) + C(C(3))) + C((8 + (5 \times 5))))$
55875 := $(C(5) \times (7 + (8 \times 55)))$
55912 := $(C(2) \times ((C(19) + (5)) + C(5)))$
55933 := $((3 \times C(C(3))) + ((9 - (5^5))))$
55973 := $-((C(3) + (-(7) \times C(((9-5) \times 5)))))$
56203 := $(C((30 + C(2))) + C((6+5)))$
56224 := $(C((42-2)) - (6^5))$
56257 := $((C(7) \times (-(52) + C(6))) + (5))$
56316 := $(-(6) \times ((-(1) \times C((C(3) - (6)))) - (C(5))))$
56376 := $-((C(6) \times ((C(7) - ((3^6))) + C(5))))$
56462 := $((-(2) - C(6)) \times ((C(4) \times (-6)) + C(5)))$
56544 := $((C(C(4)) - C((C(4) - (5)))) - ((C(6) + (5))))$
56625 := $(((-(C(5)) + C(C(2))) + (66)) \times C(5))$
56673 := $(C(3) \times (((C(7) + (6)) \times 6) + (5)))$
56683 := $(C(C(3)) + ((C(C((8-6))) - C(6)) \times C(5)))$
56742 := $-((C(2) + (((C(4) \times (-7)) - (6)) \times C(5))))$
56745 := $(-(5) - (((C(4) \times (-7)) - (6)) \times C(5)))$
56826 := $(-(6) + (C(C(2)) \times (-((8+6)) + C(5))))$
56832 := $(C((2^3)) \times (-((8+6)) + C(5)))$
56835 := $((5 \times C(3)) \times ((C(8) - C(6)) + C(5)))$
56844 := $(-(4) \times ((C(4) \times (-(8) - C(6))) + C(5)))$
56875 := $((-(57) + C(C((8-6)))) \times C(5))$
57122 := $((C(C(2)) - C((C(2) - 1))) \times (C(7) - (5)))$
57276 := $(((C(6) - ((7^2))) \times C(7)) - (5))$
57293 := $-((C((C(3) - 9)) + ((C(C(2)) - (7)) \times (-C(5)))))$
57295 := $(((C(5) \times (-9)) - C(C(2))) \times (-(7 \times 5)))$
57321 := $(((1+2) \times C(C(3))) - (C((7+5))))$
57331 := $(((1 - C(C(3))) \times (-3)) - (C(7) \times 5))$
57332 := $(-(2) - ((-(3) \times C(C(3))) + (C(7) \times 5)))$
57334 := $(((4 \times C(C(3))) - C(C(3))) - (C(7) \times 5))$
57344 := $((4 - (-(4) \times C(3))) \times C(C((7-5))))$
57367 := $(C(7) - ((-(6) - C(3)) \times C((7+5))))$
57375 := $((((-(5) - C(7))/(-3)) + C(7)) \times C(5))$
57456 := $((-(C(6)) + C(((-(5) + C(4)) + (7))))/5)$
57564 := $(((4-6) + C(5)) \times (C(7) + C(5)))$
57568 := $((8 + C(6)) \times ((C(5) + (7)) + C(5)))$
57625 := $(C(5) \times ((C(2) \times (6 \times 7)) + C(5)))$
57627 := $(((C(7) + C(C(2))) \times (-(6) + C(7)))/5)$
57637 := $(((C((-(7) + C(3))) + C(6)) \times 7) + (C(5)))$
57687 := $(C(7) + (C(8) \times (-((6+7)) + C(5))))$
57793 := $(C(39) + (-(7) \times (C(7) - C(5))))$
57833 := $((3 \times C(C(3))) + (C(8) - C((7+5))))$
57844 := $(-(4) \times (((-(4) \times C(8)) \times 7) - C(5)))$
57875 := $(((57 \times 8) + 7) \times C(5))$
57876 := $-((C(6) + (((C(7) - C(8)) \times C(7)) - C(5))))$
57932 := $-((C(C(2)) - (C(39) + (-(7) \times C(5)))))$
57948 := $(((C(8) - C(4)) - 9) \times (7 + C(5)))$
58126 := $((6 \times C(21)) - (C(8) \times (-5)))$
58157 := $(-(C(7)) + ((-(C(5)) - C(-((1-8)))) \times (-C(5))))$
58195 := $-(((C(5) + C(9)) - ((1+8)^5)))$
58293 := $-((C(3) - (C(9) \times ((2 \times 8) \times 5))))$
58295 := $(-(5) \times ((C(9) \times (-(2 \times 8))) + (5)))$
58319 := $-((C((9+1)) - C((3 \times (8+5)))))$
58339 := $(-(C(9)) - ((-(3) \times (C(C(3)) + 8)) + (5)))$
58344 := $(44 \times (C((3+8)) - (5)))$
58354 := $(C(45) - (3 + (8^5)))$
58368 := $(C(8) \times (6 \times ((3 \times 8) - 5)))$
58372 := $(C((C(2) + (7))) + ((C(38) + C(5))))$
58375 := $(((C(5) + C(7)) \times C(-((3-8)))) - (C(5)))$
58383 := $(3 \times ((C(8) \times 38) + (5)))$
58393 := $((3 \times ((-(C(9)) + C(C(3))) + C(8))) - (5))$
58398 := $(((C(8) - C(9)) + C(C(3))) \times (8-5))$
58437 := $((C(7) + (-(3) \times C(4))) \times (C(8) - C(5)))$
58532 := $-((C(C(2)) - ((C(C(3)) \times (-(5-8))) - (5))))$
58596 := $-((C(6) - ((-(9) + C(5)) \times (C(8) - (5)))))$
58625 := $(C(5) \times (((C(2) \times (-6)) + C(8)) + (5)))$
58647 := $((C(7) - (4)) \times ((6 \times 8) + C(5)))$
58674 := $(-((4-7)) \times (C((C(6)/8)) - (C(5))))$
58733 := $((3 \times C(C(3))) - (C(7) - C((8-5))))$
58824 := $((-(C(4)) + C(-((2-8)))) \times (C(8) - C(5)))$
58833 := $((3 \times C(C(3))) - C(((8/8)+5)))$
58926 := $(-(6) \times ((-(2) \times C((9+8))) + (5)))$
58931 := $(((-(1) + C(39)) - C(8)) + C(5))$
58944 := $-((C(4) \times (C(4) - 985)))$
58984 := $(((C((4 \times 8)) \times 9) + 8)/5)$

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59057 := $(C((7-5))+(09^5))$
59113 := $(C((3+1))+((1\times 9)^5))$
59114 := $(C(4)+(1+((1\times 9)^5)))$
59133 := $((3\times(C(3)+1))+(9^5))$
59167 := $((-(7)+C((6-1)))+(9^5))$
59174 := $(-4+7)^{1+9}+C(5)$
59176 := $(((C(6)-C(7))\times(-1))+(9^5))$
59182 := $(C(2)+((C(81)/9)+C(5)))$
59183 := $((((3^8)+1)\times 9)+C(5))$
59185 := $((C(((5\times 8)-1))-9)-C(5))$
59193 := $((C(39)-(1^9))-C(5))$
59194 := $(C(((49-1)-9))-C(5))$
59217 := $((-((C(7)+1))+C(C(2)))+(9^5))$
59218 := $((C(8)-C((-(1)+C(2))))+(9^5))$
59224 := $(C(4)-((2-C(C(2)))\times(-(9)+C(5))))$
59236 := $((C(6)-C(3))-(2-(9^5)))$
59237 := $(((-(7)-(3^{C(2)}))\times(-9))+C(5))$
59239 := $(((C(9)-C(3))-C(C(2)))+(9^5))$
59243 := $((3\times C(4))+(2+(9^5)))$
59274 := $(C((47-C(2)))-(9\times 5))$
59275 := $-((((C(5)-C(7))-C(2))-(9^5)))$
59276 := $(((6-7)+C(C(2)))\times(-(9)+C(5)))$
59285 := $(C(5)+((C(8)-2)\times(-(9)+C(5))))$
59293 := $(((C(3)+C(9))-C(C(2)))+(9^5))$
59307 := $((-(7)+C(039))-(5))$
59312 := $((-(2)+C((1\times 39)))-(5))$
59314 := $(C((C((4-1))+(3+9)))-(5))$
59317 := $((-(7)+C((1\times 39)))+(5))$
59319 := $C((9-(((1\times 3)-9)\times 5)))$
59321 := $((-((1+2))+C(39))+(5))$
59323 := $((-((3-2))+C(39))+(5))$
59324 := $(C((((4^2)\times 3)-9))+(5))$
59326 := $(((-(6)+C(2))+C(39))+(5))$
59328 := $(((8/2)+C(39))+(5))$
59332 := $(((2^3)+C(39))+(5))$
59333 := $(((3\times 3)+C(39))+(5))$
59338 := $(((8\times 3)+C(39))-(5))$
59341 := $(C(-((1-4)))+((C(39)-(5))))$
59346 := $(((C(6)-C(4))+C(39))-C(5))$
59359 := $(((9\times 5)+C(39))-(5))$
59362 := $(((C(2)\times 6)+C(39))-(5))$
59372 := $(C(C(2))+((-(7)\times C(3))+(9^5)))$
59373 := $(C(3)\times(7+((3\times C(9))+(5))))$
59386 := $(-(6)-((8^3)\times(9-C(5))))$
59387 := $(C(7)-((8-3)-(9^5)))$
59388 := $(((8\times 8)+C(39))+(5))$
59433 := $(((3+3)\times C(4))+(9^5))$
59435 := $((C((5+34))-9)+C(5))$
59437 := $((-(7)+C((3+(4\times 9))))+C(5))$
59444 := $(C(((4+44)-9))+C(5))$
59453 := $((C((35+4))+9)+C(5))$
59464 := $(C(4)+(C(6)\times((C(4)-9)\times 5)))$
59493 := $((C(39)+(49))+C(5))$
59497 := $(C(C(-((7-9))))-(C(4)-(9^5)))$
59517 := $((C(7)+C((1\times 5)))+(9^5))$
59554 := $((4\times C(5))+(5+(9^5)))$
59561 := $(C(C(((1+6)-5)))+(9^5))$
59562 := $(C(C(2))+((6-5)+(9^5)))$
59582 := $(2\times C((C((8-5))+(9-5))))$
59583 := $((C(3)+C(8))-((5-(9^5))))$
59588 := $((C(8)+C((8-5)))+(9^5))$
59624 := $(((-(4)+C(C(2)))+(6))\times(-(9)+C(5)))$
59625 := $(C(5)\times((2\times C(6))+(9\times 5)))$
59633 := $((3\times(C(C(3))+C(6)))-(C((9-5))))$
59648 := $-((C(8)-(C(4)\times((C(6)+C(9))-(5)))))$
59652 := $(C(C(2))-(((C(5)-C(6))-(9^5))))$
59657 := $((C(7)+C(((5\times 6)+9)))-(5))$
59659 := $((C(9)-C(5))+(6+(9^5)))$
59727 := $(((C(7)-C(2))+C(7))+(9^5))$
59735 := $(((5-3)\times C(7))+(9^5))$
59762 := $(C(C(2))+((6\times 79)\times C(5)))$
59778 := $(C((8+(7/7)))+(9^5))$
59779 := $(C(9)+(((7/7)+(9^5))))$
59787 := $((C(7)+C(((-(8)-C(7))/(-9))))+(C(5)))$
59838 := $((-(83)\times(8-C(9)))-(5))$
59848 := $(-(8)+((4+C(8))\times(-(9)+C(5))))$
59895 := $((C(5)+C(9))-((8-(9^5))))$
59932 := $-((C(C(2))-(C(39)-(-(9)\times C(5)))))$
59968 := $(((-(8)+C(6))+C(9))\times C((9-5)))$
59986 := $(((C(6)-8)+C(9))+(9^5))$
60472 := $-((C(2)+(-((7\times 40))\times C(6))))$
60475 := $(-(5)-(-((7\times 40))\times C(6)))$

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60875 := $(C(5) \times (7 + (80 \times 6)))$
61233 := $(3 \times ((C(C(3)) + C(C(2))) - (-(1) \times C(6))))$
61236 := $(((-(C(6)) + C(C(3))) - C(21)) \times 6)$
61344 := $((((4^4) + C(3)) + 1) \times C(6))$
61395 := $(-(5) \times (9 + (-(3) \times C(16))))$
61397 := $(C(7) \times (((-(9) - C(3)) - 1) + C(6)))$
61479 := $(-(C(9)) - (C(((7 + C(4)) + 1))/(-6)))$
61533 := $-((C(C(3)) + (((-(3) \times C(5)) - 1) \times C(6))))$
61776 := $(C(6) \times (C(7) - ((C(7) - 1)/6)))$
61952 := $(C(C(2)) \times (C(5) - ((9 + 1) - 6)))$
61958 := $((85 \times C(9)) - (1 + 6))$
62125 := $(-(C(5)) \times ((21 - C(C(2))) - (6)))$
62144 := $(-(C(4)) - (C((C(4) + C((1 \times 2))))/(-6)))$
62199 := $(-(9) + ((-(C(9)) \times C(C((1 \times 2))))/(-6)))$
62208 := $(C((8 + C((02 + 2))))/6)$
62238 := $((C((8 - 3)) - 2) \times (C(C(2)) - (6)))$
62272 := $(C((C(2) \times (7 - 2))) - C((2 \times 6)))$
62284 := $((C((48 + 2))/2) - C(6))$
62292 := $(((-(C(2)) + C((9 \times C(2)))) + C(C(2)))/6)$
62294 := $(((4 + C((9 \times C(2)))) + C(C(2)))/6)$
62336 := $(((-(C(6)) + C(C(3))) + C((C(3) + C(2)))) - (6))$
62343 := $(C((C(3) + (4))) + (C(32) - C(6)))$
62348 := $(((8^4) - C(C(3))) \times (2 - 6))$
62424 := $((C((C(4) + C(2)))/(4 + 2)) + C(6))$
62426 := $((C(6) + 2) + (C((C(4) + C(2)))/6))$
62452 := $((C(25) \times 4) - (C(2) \times 6))$
62456 := $((((6^5) + 4) \times C(2)) + C(6))$
62458 := $((C(8) \times ((C(5) - C(4)) \times 2)) - (6))$
62464 := $(((C(4) - (6)) + C(4)) \times C((2 + 6)))$
62494 := $((4 \times C(((9 - 4)^2))) - (6))$
62496 := $(((C(6) + C((9 \times 4))) \times C(2))/6)$
62521 := $-((C((1 + C(2))) + (-(C(5)) \times (C(C(2)) - (6)))))$
62522 := $(((C(C(2)) + 2) \times C(5)) - C((2 \times 6)))$
62524 := $((-(4) + C(2)) \times (C((5^2)) + (6)))$
62529 := $(-((C(9) - C(2))) - (-(C(5)) \times (C(C(2)) - (6))))$
62534 := $(C(4) - (((3 - C(5)) \times C(C(2))) - (6)))$
62608 := $((80 + 6) \times (C(C(2)) + C(6)))$
62634 := $((C((-(4) + C(3))) - (C((6 \times 2)))) \times 6)$
62693 := $(-(C(3)) - (((C(9) + (6)) \times C(C(2)))/(-6)))$
62736 := $(-(6) \times ((-((C(3) - (7))) \times C(C(2))) - C(6)))$
62767 := $((C(7) + C(6)) - (C(72)/(-6)))$
62783 := $-(((C(38) - C((7^2))) - (6)))$
62784 := $((C(4) + C(8)) - (C(72)/(-6)))$
62792 := $((2^{9+7}) - C((C(2) + (6))))$
62875 := $(C(5) \times (((-(7) + C(8)) - C(2)) + (6)))$
62892 := $((((C(2) + C(9)) \times C(8)) + C(2))/6)$
62929 := $((C(9) - C(2)) + (C((9 \times C(2)))/6))$
62964 := $((4 - C(6)) \times (-((9^2)) - C(6)))$
63125 := $(C(5) \times (C(C(2)) - ((1^3) + 6)))$
63159 := $(-(C(9)) - (C((-(5) + C((1 \times 3)))) \times (-6)))$
63226 := $(-(C(((6^2) + 2))) - (C(C(3)) \times (-6)))$
63261 := $(((1 - C(6)) + C(C(2))) \times (-(3) + C(6)))$
63284 := $(((-(4) + C(8)) \times C((2 + 3))) - C(6))$
63288 := $(((C(8) - C((8 - 2))) - 3) \times C(6))$
63293 := $(((C(C(3)) + (C(9))) + C((C(2) + C(3)))) + (6))$
63325 := $(C((5 \times C(2))) - (C(3) + (3 \times C(6))))$
63352 := $(((C(2) \times 5)^3) - (3 \times C(6)))$
63358 := $(-(C(8)) - ((C((-(5) + C(3))) - 3) \times (-6)))$
63361 := $(C(16) + ((3 \times C(C(3))) + C(6)))$
63364 := $(4 \times (C((-((6/3)) + C(3))) + C(6)))$
63423 := $-((C(C(3)) - ((C(24) + C(3)) \times 6)))$
63424 := $((4^{C(2)}) - (C(4) \times (C(3) + (6))))$
63425 := $(5 \times ((C(C(2)) + C((-(4) + C(3)))) + (6)))$
63484 := $((-(4) - C(8)) + C((4 + 36)))$
63488 := $(C(8) \times (-(8) - (-(4) \times (C(3) + (6)))))$
63504 := $((-(C(4)) + C(((0 - 5) + C(3)))) \times 6)$
63538 := $(-(C(8)) - ((C(3) + C((-(5) + C(3)))) \times (-6)))$
63594 := $((-(49) + C((-(5) + C(3)))) \times 6)$
63625 := $(C(5) \times (C((2 + 6)) + ((3 - 6))))$
63657 := $-((C(7) - C((5 \times ((6/3) + 6)))))$
63693 := $(C(39) + (6 \times (3^6)))$
63744 := $(C(4) \times (-(4) + C(((7 - 3) + 6))))$
63782 := $(-(2) + ((8 \times C((-(7) + C(3)))) - C(6)))$
63784 := $(C(-(((4 - 8) \times (7 + 3)))) - C(6))$
63822 := $((C(22) - (8 + 3)) \times 6)$
63824 := $-((C(4) + (C((2 \times (8 + 3))) \times (-6))))$
63838 := $(C(((8 - 3) \times 8)) - (C(3) \times 6))$
63841 := $((C((1 + 4)) \times (C(8) - 3)) + C(6))$
63855 := $((-(5) \times (C(5) - C(8))) \times (C(3) + (6)))$
63875 := $(C(5) \times (-(7 - ((8^3) + 6))))$
63881 := $(((-(1) + C(8)) \times C((8 - 3))) + (6))$
63884 := $(-(4) - ((-(8) \times C((8 + 3))) \times 6))$
63888 := $((8 \times C((-((8 + 8)) + C(3)))) \times 6)$
63928 := $(-(8) - ((C(C(2)) - (C((9 - 3)))) \times (-C(6))))$

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63936 := $((C(C((6/3))) - (C((9-3)))) \times C(6))$
63958 := $(((C((8 \times 5)) - 9) - C(3)) - (6))$
63964 := $(C((C(4) - (C(6)/9))) - 36)$
63973 := $-((C(3) - C((7 + ((9 \times 3) + 6)))))$
63992 := $(-(C(2)) + C(((-(9) + C(9))/(3 \times 6))))$
63995 := $(-(5) + C(((-(9) + C(9))/(3 \times 6))))$
64043 := $((-(3) + C(40)) + 46)$
64049 := $(((-(9) + C(40)) + C(4)) - (6))$
64058 := $((C((8 \times 5)) + C(04)) - (6))$
64064 := $(C(4) + C(((60 \times 4)/6)))$
64125 := $(C(5) + C((2 \times (14 + 6))))$
64127 := $((C(7) + C((C(2) \times (1 + 4)))) - C(6))$
64128 := $(((C(8) \times (-21)) + C(4)) \times (-6))$
64152 := $(((C((2 \times 5)) - 1) \times C(4)) + C(6))$
64204 := $(((C(40) - C(2)) - (4)) + C(6))$
64216 := $(C((((6-1) \times 2) \times 4)) + C(6))$
64233 := $((3 \times C(C(3))) + (24 \times C(6)))$
64243 := $((C(3) + C((C(4) - (24)))) + C(6))$
64272 := $((C((C(2) + (7 \times 2))) + C(4)) \times 6)$
64294 := $(((C(C(4)) - C((9 \times 2)))/4) + C(6))$
64337 := $((C(7) + C(((3 - C(3)) + C(4)))) - (6))$
64343 := $(C((3+4)) + C((34+6)))$
64347 := $((C(7) + (4)) + C((34+6)))$
64357 := $((C(7) \times (-(5) - (-(3) \times C(4)))) + C(6))$
64384 := $((4^8) + ((-(3) \times C(4)) \times 6))$
64385 := $((C(5) \times (C(8)+3)) + (4+6))$
64448 := $((C(8) - C(4)) + C((4 \times (4+6))))$
64456 := $((C(6) \times (-5)) + (4^{C(-4+6)}))$
64457 := $-((C(7) - (-(5) \times ((4 - C(4)) \times C(6)))))$
64473 := $((C(37) - (4)) + C((4 \times 6)))$
64511 := $(-(1) + ((1 + C(5)) \times C(C(-((4-6))))))$
64512 := $(C(C(2)) \times ((1 + (5 \times 4)) \times 6))$
64518 := $((8 \times ((1 + C(5)) \times C(4))) + (6))$
64522 := $((C(C(2)) + C((C(2) \times 5))) + (4+6))$
64524 := $(((4 + C(C(2))) \times C(5)) + (4 \times 6))$
64547 := $((C(7) \times (C(4) + C(5))) - (C(4) + C(6)))$
64568 := $-((C(((8-6)^5)) - C(46)))$
64582 := $(C(C(2)) + (((C((8 \times 5)) + C(4)) + (6))))$
64624 := $((4^{C(2)}) - ((C(6) - C(4)) \times 6))$
64729 := $(C(9) + C((C(2) \times ((7+4) - 6))))$
64773 := $(C(3) \times ((C(7) \times 7) + ((4-6))))$
64827 := $(7 \times C(((C(2) - C(8))/(-(4 \times 6)))))$
64857 := $((-(7) + C((5 \times 8))) - (-(4) \times C(6)))$
64864 := $(C(4) - (((C(6) - C(8)) - (4)) \times C(6)))$
64872 := $(((C(C(2)) - (7 - C(8))) \times C(4)) - C(6))$
64875 := $(C(5) \times (7 + C(((8/4) + 6))))$
64954 := $((((4^5) - 9) \times C(4)) - (6))$
64977 := $-(((C(7) - ((7+9)^4)) + C(6)))$
65119 := $(((9 + C(C((1+1)))) \times C(5)) - (6))$
65125 := $((((5^{C(2)}) \times (-1)) - C(5))/(-6))$
65178 := $(((C(8) + (7)) \times (1 + C(5))) - C(6))$
65268 := $(C(8) - (((6 + C(C(2))) \times (-C(5))) - (6)))$
65284 := $((((4 + C(8)) + C(2)) \times C(5)) - C(6))$
65304 := $((C(40) - C(3)) + C((5+6)))$
65331 := $(C((13 + C(3))) + C((5+6)))$
65344 := $((C(C(4))/4) - ((C(3) + (5)) \times 6))$
65358 := $((C((8 \times 5)) + C(3)) + C((5+6)))$
65384 := $(C(4) + ((C(8) \times (3 + C(5))) - C(6)))$
65433 := $(C(C(3)) - (((3 - C(4)) \times C(5)) \times 6))$
65444 := $(((4 - C(C(4)))/(-4)) + (C(5) - C(6)))$
65445 := $(C(5) - ((C(4) \times (-(4^5))) + C(6)))$
65469 := $(((C(9) - C((6 \times 4))) \times (-5)) - (6))$
65472 := $(((2^7) + C(4)) \times (C(5) + C(6)))$
65532 := $((2 \times (C((C(3) + (5))) - (5))) + (6))$
65583 := $(C(3) \times (((C(8) \times 5) - C(5)) - (6)))$
65694 := $((C((4+9)) \times (6 \times 5)) - C(6))$
65728 := $(8 \times (C((C(2) + (7+5))) + C(6)))$
65735 := $(C(5) + (((3^7) \times 5) \times 6))$
65744 := $((C(C(4))/4) - ((C((7-5)) - C(6))))$
65746 := $(C(6) + ((4^{C(7-5)}) - (6)))$
65752 := $((C((2^5)) \times (7-5)) + C(6))$
65823 := $(3 \times (C(28) - (5+6)))$
65869 := $((((9+6) + C(8)) \times C(5)) - (6))$
65875 := $(-(5) \times (7 + (C((8+5)) \times (-6))))$
65918 := $-((C(8) - ((-(1) - C(9)) \times (C(5) - C(6)))))$
65924 := $((((4^{C(2)}) + C(9)) - C(5)) - C(6))$
65928 := $(-(82) \times ((9 + C(5)) \times (-6)))$
65946 := $(-(6) \times ((C((4+9)) \times (-5)) - (6)))$
65952 := $-((C(C(2)) - (C(5) - (C(9) \times (C(5) - C(6))))))$
66093 := $(-(3) + ((90 + C(6)) \times C(6)))$
66096 := $((C(6) \times 90) + (6^6))$
66123 := $(C(C(3)) - (((2-1) - C(6)) \times C(6)))$
66312 := $(C(C((2+1))) - ((C(3) - (6^6))))$

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66313 := $(C(C(3)) - ((-(1) + C(3)) - (6^6)))$
66331 := $-(((C(-((1-3))) - C(C(3))) - (6^6)))$
66333 := $((C((3^3)) + C(36)) - (6))$
66336 := $((-(6) + C(C(3))) + (3 + (6^6)))$
66343 := $(C(C(3)) - (-(4) - C((3 \times (6+6)))))$
66352 := $(((C(2) + (5)) + C(C(3))) + (6^6))$
66373 := $(C(C(3)) - ((-(7) - C(3)) - (6^6)))$
66394 := $(((C(4) - 9) + C(C(3))) + (6^6))$
66403 := $(C(C(3)) + (C(04) + (6^6)))$
66424 := $((4^{C(2)}) + (-(4) \times (-(6) - C(6))))$
66528 := $((-(8) - C((2 \times 5))) \times (-66))$
66542 := $(((C(C(2)) - (4)) \times (C(5) + (6))) - (6))$
66744 := $(((44 \times 7) \times C(6)) + C(6))$
66824 := $(((4^{C(2)}) - 8) + (C(6) \times 6))$
66856 := $(((6 + C(5)) \times C(C((8-6)))) - C(6))$
66875 := $(C(5) \times (7 + (8 \times 66)))$
67193 := $(-(C((3+9))) + C(-((1 - (7 \times 6)))))$
67229 := $-((C(((9+2) + C(2))) - (C((7 \times 6)))))$
67239 := $(93 \times (C((2+7)) - (6)))$
67266 := $((C(6) + (6)) \times (C(C(2)) + (7 - C(6))))$
67375 := $(C(5) \times (((C(7) - C(3)) + (7)) + C(6)))$
67544 := $-((C(4) - (((C(4) \times 5) - (7)) \times C(6))))$
67582 := $(-(2) - (C(8) \times ((-(5) - C(7)) + C(6))))$
67584 := $((C(4) \times 8) \times ((5 + C(7)) - C(6)))$
67585 := $(-(5) + ((C(8) \times (C(5) + (7))) + (6)))$
67593 := $((C(C(3)) + (9 \times C((5 \times 7))))/6)$
67594 := $((C(C(4))/(9-5)) + (C(7) \times 6))$
67639 := $(((C(9) - 3)/6) \times (C(7) + C(6)))$
67645 := $(((C(5) - (4)) \times (C(6) + C(7))) + (6))$
67914 := $((C(4) - 1) \times ((C(9) + C(7)) + (6)))$
67995 := $(-(5) \times (9 - ((9 \times 7) \times C(6))))$
68125 := $(C(5) \times ((C((2+1)) + C(8)) + (6)))$
68257 := $(C(7) \times (-(((5^2) - 8)) + C(6)))$
68315 := $(-(5) \times (-(1) - (C(3) \times (C(8) - (6)))))$
68392 := $((C(C(2)) \times (9 + C(-((3-8))))) - C(6))$
68596 := $(-(6) + (((9 + C(5)) \times C(8)) - (6)))$
68599 := $(-(9) - ((-(9) - C(5)) \times C(C((8-6)))))$
68634 := $((C((-(4) + C(3))) - (C(6) + C(8))) \times 6)$
68698 := $((C((8+9)) - (6)) \times (8+6))$
68782 := $(C(((2+8)+7)) \times (8+6))$
68894 := $((C(-((4-9))) + 8) \times (C(8) + (6)))$
68914 := $(C(41) - ((9-8)+6))$
68921 := $C(((((1+2) \times 9) + 8) + 6))$
68923 := $(C((32+9)) + (8-6))$
68927 := $(C((7 + (2 \times (9+8)))) + (6))$
68935 := $(C(((5 + C(3)) + 9)) + (8+6))$
68957 := $(C(7) + (((C(5) + 9) \times C(8)) + (6)))$
68959 := $(((95 \times C(9)) - C(8)) + C(6))$
68968 := $((C(8) - C(6)) \times ((9+8) + C(6)))$
69137 := $(C((((C(7) + C(3)) - 1)/9)) + C(6))$
69143 := $(((-(3) + C(41)) + 9) + C(6))$
69255 := $((5 \times C((5-2))) \times (C(9) - C(6)))$
69345 := $((-(5) \times (C(4)+3)) \times (9 - C(6)))$
69375 := $(C(5) \times (((C(7) + C(3)) \times (-9))/(-6)))$
69434 := $(C(((C(4) - C(3)) + (4))) + (C(9) - C(6)))$
69552 := $((2 - (-(5) \times C(-((5-9))))) \times C(6))$
69598 := $(((C(8)+9) \times (C(5)+9)) - C(6))$
69776 := $((C((6 \times 7)) - C((7+9))) - C(6))$
69792 := $((2 - C(9)) \times (-((7+9) \times 6)))$
69848 := $(((8^4) \times (8+9)) + C(6))$
69875 := $(C(5) \times ((-(7) + C(8)) + ((9 \times 6))))$
69944 := $(-(4) \times (C((4+9)) - C(C((9-6)))))$
69952 := $(-((2^5)) - (C(9) \times (-96)))$
69963 := $-(((C(3) - (6)) + (C(9) \times (-96))))$
69969 := $((96 \times C(9)) - ((9+6)))$
69972 := $((-(2) - (-((7+9)) \times C(9))) \times 6)$
69977 := $(-(7) - ((-((7+9)) \times C(9)) \times 6))$
69978 := $(((87+9) \times C(9)) - (6))$
69982 := $(-(2) - (8 \times ((C(9) + C(9)) \times (-6))))$
69984 := $(((4 \times 8) \times C(9)) \times (9-6))$
69986 := $(-((6-8)) - (C(9) \times (-96)))$
70333 := $(C(C(3)) - (3 - C((30+7))))$
70336 := $(C(C((6-3))) + (C((30+7))))$
70343 := $((C(C(3)) + C((C(4) - C(3)))) - (0-7))$
70625 := $(C(5) \times (C(C(2)) + (60-7)))$
70835 := $(5 \times (C((3 \times 8)) + C(07)))$
70875 := $(C(5) \times ((7 \times 80) + 7))$
71136 := $((C(6)/3) \times (C(11) - C(7)))$
71168 := $(C(8) \times (C(6) - ((11 \times 7))))$
71328 := $(8 \times (-(2) + ((C(3) - 1) \times C(7))))$
71344 := $((4+4) \times ((C(3) - 1) \times C(7)))$
71362 := $((2 \times C((6 + C(3)))) - C((1+7)))$
71442 := $((-((2-4)) \times C((C(4) - 1)))/7)$
71452 := $(2 \times (5 - (C((C(4) - 1))/(-7))))$

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71494 := $(((4 \times C(9)) + C(41)) - C(7))$
71496 := $(C(6) \times (-(((9+4)-1)) + C(7)))$
71687 := $(C(7) \times ((-(8) + C(6)) + (1^{7})))$
71928 := $(C((8-2)) \times (-((9+1)) + C(7)))$
72135 := $((C((-(5) + C(3))) - C((-(1) + C(2)))) \times 7)$
72233 := $(((C(33) + C(2)) \times 2) + C(7))$
72235 := $-((C(5) + (C((3 \times 2)) \times (C(2) - C(7)))))$
72261 := $((1 + C(6)) \times ((-(2) - C(2)) + C(7)))$
72333 := $-((C(3) + (C((3+3)) \times (C(2) - C(7)))))$
72373 := $(((3 \times 73) - C(2)) \times C(7))$
72424 := $(C(4) - (C((2+4)) \times (C(2) - C(7))))$
72568 := $(-(8) + (C(6) \times (C((5+2)) - (7))))$
72576 := $(C(6) \times ((7^{5-2}) - 7))$
72625 := $(C(5) \times (C(C(2)) + (62+7)))$
72657 := $((((C(7) - (5)) \times C(6)) - C(2)) - C(7))$
72666 := $(C(6) + ((6 - C(6)) \times (-(2) - C(7))))$
72667 := $(((C(7) - (6)) \times C(6)) - C(-((2-7))))$
72675 := $(((-(5) + C(7)) \times (C(6) - 2)) + C(7))$
72687 := $(((C(7) - 8) \times (C(6) + 2)) - C(7))$
72716 := $((C(6) - ((1+7)/2)) \times C(7))$
72759 := $(C(9) - (((C(5) - C(7)) + C(2)) \times C(7)))$
72873 := $(((3^{7}) + C(8)) \times 27)$
72875 := $(-(C(5)) \times ((-(78) - C(C(2))) + (7)))$
72949 := $(((C(9) + C(4)) \times 92) - (7))$
72966 := $(-(6) \times (6 - C((9 + (2 \times 7)))))$
73029 := $((9 \times C(20)) + (3 \times C(7)))$
73138 := $(((-(8) - C(C(3))) \times (1 - C(3)))/7)$
73144 := $(C(C(4)) + (C(((4-1) + C(3))) \times (-7)))$
73164 := $(C(4) - ((C(6) - 1) \times (3 - C(7))))$
73174 := $((C(((4 \times 7) + 1)) \times 3) + (7))$
73261 := $(C((-((1-6)) \times C(2))) + C((3 \times 7)))$
73269 := $((-((96^{2})) + C(C(3))) \times 7)$
73359 := $-((C(9) - C((((5-3) \times 3) \times 7))))$
73376 := $((C(6) \times (C(7) - 3)) - C(-((3-7))))$
73568 := $(8 \times (-(65) + C((3 \times 7))))$
73576 := $(C((6 \times 7)) - C(((5 \times 3) - 7)))$
73604 := $((C(40) + C((-(6) + C(3)))) + C(7))$
73612 := $(C(C(2)) - ((1 - C(6)) \times (-(3) + C(7))))$
73629 := $(C(9) \times ((2^{6}) + 37))$
73634 := $-((C(4) - ((3 - C(6)) \times (-(3) - C(7)))))$
73656 := $(C(6) \times (-(((5-6)+3)) + C(7)))$
73683 := $((C((3 \times 8)) \times 6) - C((3 \times 7)))$
73724 := $((C(42) - C(7)) - ((3 \times 7)))$
73728 := $(C(8) \times ((C(2) + C((7+3)))/7))$
73736 := $((C(6) \times (3 + C(7))) - C((3+7)))$
73742 := $((C(((2+4) \times 7)) - 3) - C(7))$
73745 := $((-((5-47))^{3}) - C(7))$
73766 := $(((-(6) + C((6 \times 7))) + C(3)) - C(7))$
73783 := $(((C(3) \times 8) \times (C(7) - 3)) + C(7))$
73866 := $((-(6) - C(6)) - (-(8) \times C((3 \times 7))))$
73928 := $(8 \times ((C(C(2)) + (C(9))) + C((C(3) - (7)))))$
73953 := $((C(3) \times (-5)) + C(((9-3) \times 7)))$
73968 := $(8 \times (-((6+9)) + C((3 \times 7))))$
73972 := $((((2^{7}) \times C(9)) - C(C(3))) + C(7))$
73985 := $(-(5) \times (C(8) + (C(9) \times (-(3 \times 7)))))$
74024 := $-((C(4) - C(((2+04) \times 7))))$
74079 := $(-(9) + C((70 - (4 \times 7))))$
74088 := $C(((8 - (8/04)) \times 7))$
74125 := $(C(5) \times ((2 \times C((1+4))) + C(7)))$
74159 := $(C(-((9-51))) + (C(4) + (7)))$
74169 := $(C(9) - (C(6) \times (-((1-4)) - C(7))))$
74262 := $-((C(C(2)) - ((C(6) - ((2-4))) \times C(7))))$
74277 := $((7 + C((7 \times 2))) \times C(-((4-7))))$
74367 := $((((7 \times 6)^{3}) - C(4)) + C(7))$
74375 := $(C(5) \times (((C(7) - 3)/(-4)) \times (-7)))$
74427 := $((C((7 \times (2+4))) - (4)) + C(7))$
74431 := $(C(((1-3)+44)) + C(7))$
74435 := $(C(((5 - C(3)) + C(4))) - (-(4) - C(7)))$
74522 := $((-(2) + C((2 + (5 \times 4)))) \times 7)$
74528 := $(-(8) + (C((2 + (5 \times 4))) \times 7))$
74536 := $(C(((6/3) + (5 \times 4))) \times 7)$
74563 := $(C(C(3)) - (((6^{5}) + C(4)) \times (-7)))$
74644 := $(C(4) + ((-(4) - C(6)) \times (4 - C(7))))$
74657 := $((75 \times C((6+4))) - C(7))$
74697 := $(((C(7) + C(9)) \times (6 + C(4))) - C(7))$
74736 := $(C(6) \times (3 + ((7^{4})/7)))$
74752 := $(C(C(2)) \times (C(5) - (7 - (4 \times 7))))$
74763 := $(C(3) - (C(6) \times (-((7-4)) - C(7))))$
74824 := $(((C(C(4)) - (C(2) + C(8))) + C(C(4)))/7)$
74888 := $(88 \times ((C(8) - (4)) + C(7)))$
74948 := $-((C(8) - (((C(4) - 9) \times 4) \times C(7))))$
74952 := $(C(((2-5)+9)) \times (4 + C(7)))$
75117 := $(((C(7) + 1) - C((1 \times 5))) \times C(7))$
75159 := $(-(9) + (C((5+1)) \times (5 + C(7))))$

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75164 := $(-(4)+(C(6)\times((1\times 5)+C(7))))$
75175 := $(((5+C(7))\times C((1+5)))+(7))$
75223 := $((C(C(3))\times(C(2)-2))-(C((5\times 7))))$
75245 := $((-(5)\times(C(4)+C(C(2))))+(5^{7}))$
75274 := $(C(4)-((C(7)+2)\times(C(5)-C(7))))$
75329 := $((C(9)+C(C(2)))+(C((35+7))))$
75378 := $((-(8)\times C(7))-((3-(5^{7}))))$
75456 := $((6+C(5))\times(C(4)+C(C(-((5-7))))))$
75516 := $((C(6)+(1^{5}))\times(5+C(7)))$
75558 := $(((C(8)-C((5\times 5)))\times(-5))-(7))$
75607 := $(((70\times C(6))\times 5)+(7))$
75625 := $(C(5)\times((2\times(6+C(5)))+C(7)))$
75643 := $(C(((-(3)\times C(4))/(-6)))+(C((5\times 7))))$
75676 := $((C(6)-C(7))+((C(6)+(5))\times C(7)))$
75712 := $((C(2)+C(-((1-7))))\times(-(5)+C(7)))$
75717 := $(((C(7)+1)\times(-7))+(5^{7}))$
75722 := $(C(C(2))+((-(2)-C(7))\times(C(5)-C(7))))$
75735 := $((5\times C(3))\times((C(7)-C(5))+C(7)))$
75789 := $(9\times((C(8)-(C(7)\times 5))\times(-7)))$
75803 := $(((C(3)\times 08)+(5))\times C(7))$
75816 := $(C(-((6\times(1-8))))+(C((5+7))))$
75824 := $((C(42)+8)+C((5+7)))$
75867 := $((7-C(6))\times(C(8)+(C(5)\times(-7))))$
75928 := $-((C(((8/2)+9))-(5^{7})))$
75934 := $(-(4)+((-(3)\times C(9))+(5^{7})))$
75939 := $(((9-C(C(3)))/9)+(5^{7}))$
75953 := $((3\times(5-C(9)))+(5^{7}))$
76146 := $(((6^{4-1})+6)\times C(7))$
76173 := $(C(3)+(((7-1)+C(6))\times C(7)))$
76273 := $(((3^{7})-2)+C((6\times 7)))$
76285 := $(C(((5\times 8)+2))+C((6+7)))$
76288 := $(C(8)\times(82+67))$
76475 := $(-(5)\times(((7^{4})-C(6))\times(-7)))$
76489 := $(((9-(8/4))+C(6))\times C(7))$
76492 := $-((C(C(2))-((C(9)\times 4)+C((6\times 7)))))$
76584 := $-((C(4)-((C(8)\times 5)+C((6\times 7)))))$
76711 := $(-(1)+((1+C(7))\times(C(6)+(7))))$
76712 := $(((2-1)+C(7))\times(C(6)+(7)))$
76822 := $((-(2)-C(2))+((8+C(6))\times C(7)))$
76823 := $(-((3^{2}))+((8+C(6))\times C(7)))$
76824 := $(-((4\times 2))+((8+C(6))\times C(7)))$
76825 := $(-((5+2))+((8+C(6))\times C(7)))$
76827 := $(-((7-2))+((8+C(6))\times C(7)))$
76828 := $(-((8/2))+((8+C(6))\times C(7)))$
76831 := $(-((1^{3}))+((8+C(6))\times C(7)))$
76832 := $(C(((2\times 3)+8))+C((6\times 7)))$
76833 := $((3/3)+((8+C(6))\times C(7)))$
76836 := $((6\times 38)\times(-(6)+C(7)))$
76874 := $((((-(4)\times C(7))\times(-8))+(6))\times 7)$
76875 := $(C(5)\times(((7\times 8)+C(6))+C(7)))$
76925 := $((C(5)\times(-2))-((-(9)-C(6))\times C(7)))$
76942 := $(2\times((C(C(4))-(9^{6}))/(-7)))$
76957 := $-(((C(7)-C(5))+((-(9)-C(6))\times C(7))))$
77168 := $((((8+C(6))+1)\times C(7))-(7))$
77175 := $((((C(5)-C(7))\times(-1))+(7))\times C(7))$
77264 := $-((C(4)-(C(6)\times((C(2)+(7))+C(7)))))$
77324 := $(-(4)\times((2-C(C(3)))-(-(7)-C(7))))$
77362 := $(2\times(C((6+C(3)))+C((7+7))))$
77364 := $(-(4)\times((6-C(C(3)))-(7-C(7))))$
77374 := $((-(4)\times(C(7)-C(C(3))))+(7+7))$
77389 := $-((C(9)-((((8-3)^{7})-7))))$
77437 := $(((-(C(7))+C(C(3)))\times 4)+(77))$
77518 := $(((8-C((1\times 5)))+C(7))\times C(7))$
77539 := $(((-(9)\times C(3))+(5^{7}))-C(7))$
77542 := $-((C(C(2))+(C(4)-((5^{7})-7))))$
77563 := $(((-(3)-C(6))+(5^{7}))-C(7))$
77566 := $(C(6)+((C(6)+(5))\times(C(7)+(7))))$
77648 := $((C(8)\times 4)-(C(6)\times(-(7)-C(7))))$
77672 := $((C(C(2))-((-(7)\times C(6))\times 7))\times 7)$
77673 := $(((C(3)+C(7))\times(C(6)-(7)))+C(7))$
77679 := $((C(9)\times 7)-(C(6)\times(7-C(7))))$
77875 := $(C(5)\times(7+(8\times 77)))$
77952 := $((2\times(C(5)-9))\times(-(7)+C(7)))$
78128 := $(8\times((C(21)+C(8))-(7)))$
78145 := $(-(5)\times(-(4)-C((18+7))))$
78262 := $((-(2)-C(6))\times(-((2\times 8))-C(7)))$
78273 := $((C((C(3)+(7)))\times 2)+(8-C(7)))$
78384 := $(-((4-8))\times(C(C(3))-87))$
78445 := $(5\times(C(4)+C(((4\times 8)-7))))$
78543 := $((C(C(3))\times 4)-(C(-((5-8)))\times 7))$
78546 := $(-(6)\times((C(45)+C(8))/(-7)))$
78622 := $(2\times(C((26+8))+(7)))$
78624 := $((-((4\times 2))-C(6))\times(-(8)-C(7)))$
78634 := $((4\times C(C(3)))-((6+8)\times 7))$

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78652 := $-(((C(C(2))-C(-((5-(6\times 8))))))+C(7)))$
78679 := $(((-((9\times 7))+C(6))\times C(8))+C(7))$
78733 := $((C(C(3))\times(-(3-7)))+(8-7))$
78755 := $(((C(5)+(5^{7}))+C(8))-(7))$
78848 := $((C(8)/(-4))\times(-(88\times 7)))$
78875 := $(C(5)\times((78\times 8)+7))$
79164 := $(C(((4\times 6)+19))-C(7))$
79233 := $(-((33\times(2-9)))\times C(7))$
79236 := $((C(6)-3)\times(29+C(7)))$
79244 := $(44\times((2\times C(9))+C(7)))$
79247 := $(-(7)\times((-((4^{2}))\times C(9))+C(7)))$
79375 := $(-((C(5)+(7)))+C((C(3)+((9+7)))))$
79424 := $((C(C(4))+C((C(2)+C(4))))/C((9-7)))$
79454 := $(((45+C(4))\times C(9))-(7))$
79456 := $(C((6+5))+(-((4-9))^{7}))$
79473 := $-(((C(3)+(7))-C(((4\times 9)+7))))$
79483 := $(-((3\times 8))+C(((4\times 9)+7)))$
79494 := $(-((4+9))+C(((4\times 9)+7)))$
79507 := $C((70-C(((5-9)+7))))$
79522 := $((C(2)+C(-((2-(5\times 9)))))+(7))$
79523 := $(C((3+(C(2)\times 5)))+(9+7))$
79534 := $(C(43)+C(((5-9)+7)))$
79548 := $(-(84)\times((C(5)-C(9))-C(7)))$
79576 := $(((6\times(C(7)+(5)))/9)\times C(7))$
79723 := $(C((3\times 2))+C(-(((C(7)-C(9))+C(7)))))$
79725 := $((-(C(5))+C(((-(2)\times C(7))+C(9))))+C(7))$
79872 := $(C(C(2))\times(78\times(9-7)))$
80875 := $(C(5)\times(7+(80\times 8)))$
81475 := $(-(5)\times(-((7^{4+1}))+C(8)))$
81648 := $((84/6)\times C(18))$
81875 := $(C(5)\times(7+(81\times 8)))$
82125 := $(-(C(5))\times(C((C(2)-1))-(C((2+8)))))$
82432 := $(23\times(C((4^{2}))-C(8)))$
82568 := $(-(C(8))-((C(6)\times(C(5)-C(C(2))))+C(8)))$
82593 := $(C((C(3)+9))+(C((5+28))))$
82649 := $(C(9)-(((C(4)-C(6))-C(2))\times C(8)))$
82693 := $((C(3)\times(-(9)-(-(6)\times C(C(2)))))-8)$
82837 := $((C(7)\times(C(3)+C((8-2))))-C(8))$
82875 := $(C(5)\times(7+(82\times 8)))$
82896 := $((C((C(6)/9))-8)\times(-(2-8)))$
82936 := $((6\times C(((3+9)\times 2)))-8)$
82944 := $((C(4)+C(4))\times((9^{2})\times 8))$
83166 := $(C(6)+(-(6)\times(-(1)-C((3\times 8)))))$
83256 := $(-(6)\times(-(52)-C((3\times 8))))$
83267 := $(((7+(-(6)\times C(C(2))))\times(-C(3)))+C(8))$
83287 := $(C(7)+((8-2)\times C((3\times 8))))$
83314 := $((C((C(4)-1))/3)-(C(3)+8))$
83341 := $((((-(1)+C(4))^{3})/3)-8)$
83346 := $(6\times((C(4)+3)+C((3\times 8))))$
83349 := $(9\times C((4+((3\times 3)+8))))$
83368 := $(-(8)-((C((-(6)+C(3)))-C(C(3)))\times 8))$
83373 := $(3\times(((C(7)\times 3)\times C(3))+8))$
83376 := $(C(6)\times((7\times(C(3)+C(3)))+8))$
83528 := $(8\times(((C(C(2))-(C(5)))\times C(3))-8))$
83563 := $(C(C(3))+((6\times C((-(5)+C(3))))-8))$
83564 := $((-(4)\times((C(6)\times(-5))-C(C(3))))+C(8))$
83586 := $(-(6)+(((C(8)-C(5))\times C(3))\times 8))$
83592 := $((((2^{9})-C(5))\times C(3))\times 8)$
83618 := $((((C(8)+1)\times 6)\times C(3))+C(8))$
83683 := $(C(C(3))+(C(((8-6)+38))))$
83685 := $(((C((5\times 8))-(6))+C(C(3)))+8)$
83752 := $((C((C(2)+(5)))+(7))\times 38)$
83789 := $((9\times(-(8)+C((7\times 3))))+C(8))$
83853 := $((C((C(3)-(5)))\times 8)-C((3+8)))$
83875 := $(C(5)\times(7+(83\times 8)))$
83934 := $(C((4+C(3)))-((C(9)-C(38))))$
84125 := $(C(5)\times(C((C(2)+1))-((C(4)-8))))$
84132 := $((-(C(2))-C(C(3)))+C(-((1-48))))$
84135 := $((-(5)-C(C(3)))+C(-((1-48))))$
84456 := $-(((C(6)\times(C(5)-(4)))-C(48)))$
84463 := $((-((3^{6}))+C(44))+8)$
84469 := $-((((C(9)-(6))-C(44))-8))$
84472 := $(((C(C(2))\times(-(C(7)+(4))))+C(C(4)))-8)$
84491 := $-((C((-(19)+C(4)))-C((C(4)-8))))$
84495 := $(-((C((5\times 9))-(4)))+C((C(4)-8)))$
84645 := $((C(5)+C((C(4)-(6))))-C(48))$
84666 := $(-(6)+(C(6)\times((6\times C(4))+8)))$
84668 := $((C((8+(6\times 6)))-(4))-C(8))$
84671 := $(-(1)+((7\times C(6))\times(C(4)-8)))$
84672 := $((C(2)\times 7)\times(C((6+4))+C(8)))$
84683 := $(C((C(3)-8))+(((C(6)-C(4))\times C(8))))$
84736 := $((C((-(6)+C(3)))+C((7+4)))\times 8)$
84744 := $(C(44)+((-(7)\times C(4))+8))$
84875 := $(C(5)\times(7+(84\times 8)))$

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84928 := $((C(8)/(-2)) + C(((9 \times 4) + 8)))$
84964 := $((-(4) - C(6)) + C(((9 \times 4) + 8)))$
84967 := $(((C(7) - C(6)) \times (C(9) - C(4))) + C(8))$
84992 := $((((2 \times 9) \times 9) + 4) \times C(8))$
85136 := $((-(6) + C((C(3) - (1 \times 5)))) \times 8)$
85144 := $(C(44) - ((1 \times 5) \times 8))$
85157 := $(C(-((7 - 51))) - C(-((5 - 8))))$
85176 := $((C(6) + C((7 + 1))) \times (C(5) - 8))$
85177 := $(-(7) + (C((7 + 15)) \times 8))$
85182 := $(-(2) + C(-(((C((8 - 1)) + C(5)) - C(8)))))$
85184 := $C(((((4 \times 8) - 1) + 5) + 8))$
85186 := $((-(6) + C((-(81) + C(5)))) + 8)$
85192 := $(C((29 + 15)) + 8)$
85222 := $(-(2) - ((C(22) + (5)) \times (-8)))$
85224 := $(C((42 + 2)) + (5 \times 8))$
85242 := $(C((2 + 42)) + (58))$
85244 := $(C(44) + (2 + 58))$
85248 := $((C((-(8) + C(4)))/2) - (5 \times C(8)))$
85249 := $-((((C(9) + (4)) \times (C(2) - C(5))) + C(8)))$
85293 := $(((C(3)/9)^{C(2)}) \times (5 + 8))$
85312 := $(((C(C(2)) - C((-(1) + C(3)))) \times (-5)) - 8)$
85317 := $(C((71 - C(3))) + ((C(5) + 8)))$
85325 := $(C(5) - ((2 + C((C(3) - (5)))) \times (-8)))$
85339 := $(C((-(9) + C(3))) + C((35 + 8)))$
85344 := $(((C(44) + C(3)) + C(5)) + 8)$
85373 := $((C(3) \times 7) - (C((C(3) - (5))) \times (-8)))$
85464 := $((C(4) + C(6)) + C((4 + (5 \times 8))))$
85527 := $(C(7) + C(-(((C((2 + 5)) + C(5)) - C(8)))))$
85568 := $((-(8) - C(6)) \times ((5 + C(5)) - C(8)))$
85625 := $(C(5) \times (((C(2) \times 6) + C(5)) + C(8)))$
85688 := $(C(8) + ((C(8) + C(6)) \times (C(5) - 8)))$
85723 := $((C(3) + C(C(2))) + C(-(((C(7) + C(5)) - C(8)))))$
85727 := $(-(7) + (2 \times (C((7 \times 5)) - 8)))$
85742 := $((-((2 - 4)) \times C((7 \times 5))) - 8)$
85752 := $((2 \times (5 + C((7 \times 5)))) - 8)$
85772 := $((2 \times (7 + C((7 \times 5)))) + 8)$
85782 := $(2 \times ((8 + C((7 \times 5))) + 8))$
85875 := $(C(5) \times (7 + (85 \times 8)))$
85944 := $(C(44) + ((95 \times 8)))$
85952 := $(C((2 \times (5 + 9))) + C((5 \times 8)))$
86057 := $-((C(7) - ((50 \times C(6)) \times 8)))$
86104 := $((401 \times C(6)) - C(8))$
86203 := $-((C((C(3) + 02)) - C((6 \times 8))))$
86239 := $((C(9) \times (C((3 + 2)) - (6))) - C(8))$
86344 := $(C(44) + ((3 \times C(6)) + C(8)))$
86526 := $((6 - C(C(2))) \times ((C(5) + C(6)) - C(8)))$
86528 := $((((C(8) - 2) - C(5)) - C(6)) \times C(8))$
86632 := $((C((2 + 3)) - (6)) \times (C(6) + C(8)))$
86813 := $((C(C(3)) \times (-1)) - ((8 - C(6)) \times C(8)))$
86875 := $(C(5) \times (7 + (86 \times 8)))$
86932 := $-((C((2 + C(3))) - (C(9) + C((6 \times 8)))))$
86967 := $((-(7) \times C((6 + 9))) + C((6 \times 8)))$
87204 := $((4 + C(C(02))) \times (-(C(7) - C(8))))$
87249 := $((C(9) + C(C(4))) - (C(2) + C((7 \times 8))))$
87288 := $(-(8) - (((C(8)/(-2)) \times C(7)) + C(8)))$
87345 := $(((-(C(5)) - C(C(4)))/(-3)) - (78))$
87355 := $-((C(5) - ((5 \times ((3^7) \times 8)))))$
87384 := $((C(C(4)) + 8)/(-(3 \times (7 - 8))))$
87424 := $(C(4) \times (2 - ((-(4) \times C(7)) + 8)))$
87464 := $(C(4) + ((C(6) \times (C(4) + C(7))) - C(8)))$
87541 := $(C((1 \times 45)) + (-(7) \times C(8)))$
87552 := $(-(((2 - 5) \times 57)) \times C(8))$
87573 := $(3 \times (7 - (-(57) \times C(8))))$
87625 := $-((C(5) + (-(26) \times C((7 + 8)))))$
87711 := $((C(C((1 + 1))) + (7)) \times (-(C(7) - C(8))))$
87723 := $(C(3) \times ((C((2 \times 7)) - (7)) + C(8)))$
87744 := $(C(4) \times ((4 \times C(7)) + ((7 - 8))))$
87752 := $((((2^5) \times C(7)) - (7)) \times 8)$
87864 := $(((4 \times C((6 + 8))) + (7)) \times 8)$
87875 := $(C(5) \times (7 + (87 \times 8)))$
87928 := $(((8 \times C((2 + 9))) + C(7)) \times 8)$
87992 := $(C(C(2)) + (C((9 + 9)) \times (7 + 8)))$
88387 := $((C(7) - C(8)) \times ((-(3) - C(8)) - 8))$
88568 := $((((8 \times 6) + C(5)) \times C(8)) - 8)$
88576 := $((C(6) - ((7 \times 5) + 8)) \times C(8))$
88584 := $(((48 + C(5)) \times C(8)) + 8)$
88725 := $(C((5 + C(2))) - (((C(7) - C(8)) \times C(8))))$
88726 := $((C(6) + 2) \times (C(7) + ((8 \times 8))))$
88768 := $((-(8) \times C((6 \times 7))) + C(88))$
88875 := $(C(5) \times (7 + (8 \times 88)))$
89125 := $(C(5) \times (((C(2) \times (-1)) + C(9)) - 8))$
89344 := $-((((C(4) + C(4)) \times (C(3) - C(9))) + C(8)))$
89352 := $(((C(C(2)) + C((-(5) + C(3)))) + 9) \times 8)$
89373 := $(3 \times C((C(7) - (39 \times 8))))$

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89549 := $((-(9)\times C(4))+(C(5)\times(C(9)-8)))$
89625 := $(C(5)\times(((-(2)+C(6))-9)+C(8)))$
89738 := $((C((8-3))\times(-(7)+C(9)))-C(8))$
89765 := $(C(5)+(C(6)\times(C(7)+(9\times 8))))$
89792 := $((C(C(2))\times 9)+C(((C(7)+9)/8)))$
89875 := $(C(5)\times(7+(89\times 8)))$
89885 := $((C((5+88))/9)+C(8))$
89928 := $(((C(8)+C(2))+C(9))\times(9\times 8))$
90125 := $(C(5)\times((C(2)\times(-1))+C(09)))$
90396 := $(C(((6+9)\times 3))-C(09))$
90549 := $((-(9)\times C(4))+C((5\times 09)))$
90625 := $(C(5)\times((2-6)+C(09)))$
90875 := $(C(5)\times(7+(80\times 9)))$
91125 := $C(((5+21)+19))$
91134 := $(C(((43+1)+1))+9)$
91144 := $(C((4+41))+(19))$
91359 := $(C((9\times 5))+((C(3)-1)\times 9))$
91395 := $(C((5\times 9))-(C(3)\times(-(1+9))))$
91445 := $((5\times C(4))+C(((4+1)\times 9)))$
91512 := $(C(C(2))+((-(1)\times C(5))\times(1-C(9))))$
91525 := $(5\times(C((25+1))+C(9)))$
91625 := $(C(5)\times(-((2-6))+C((1\times 9))))$
91657 := $-((C(7)-(C(5)\times((6+1)+C(9)))))$
91729 := $(C(9)+(C(-((2-7)))\times(-(1)+C(9))))$
91852 := $((-(2)+C((5\times(8+1))))+C(9))$
91854 := $(C(45)+(81\times 9))$
91855 := $((C((5+(5\times 8)))+1)+C(9))$
92125 := $(C(5)\times(C(2)+C(((1^2)\times 9))))$
92288 := $(-(((8\times 8)\times 2))\times(C(2)-C(9)))$
92296 := $(((-((C(6)-9))+C(C(2)))^2)-(C(9)))$
92338 := $((-(C(8))+C(C(3)))-(-(3)\times C(29)))$
92344 := $((C(4)+(4))\times(C(3)+C((2+9))))$
92375 := $(C(5)\times(((-(7)+C(3))/2)+C(9)))$
92376 := $(C(6)+(((-(7)+C(3))\times C(C(2)))\times 9))$
92475 := $(-(5)\times((7-(-(4)\times C(C(2))))\times(-9)))$
92527 := $((-(7)\times C(2))+((C(5)+2)\times C(9)))$
92573 := $(-((3+7))+((C(5)+2)\times C(9)))$
92575 := $-((C(-((5-7)))-((C(5)+2)\times C(9))))$
92582 := $((C(2)/(-8))+((C(5)+2)\times C(9)))$
92583 := $(((C(3)\times(-8))+C((5+2)))\times C(9))$
92591 := $(-((1-9))+((C(5)+2)\times C(9)))$
92593 := $(((C((C(3)+9))+(5))\times 2)-(C(9)))$
92596 := $((((6+C(9))\times C(5))-C(2))+C(9))$
92625 := $(C(5)\times((C(2)+(6-2))+C(9)))$
92662 := $((2-C(6))\times((-(C(6))+C(C(2)))-(C(9))))$
92672 := $(C(C(2))\times(7+(6\times 29)))$
92837 := $((C(7)+(C(3)\times(-8)))\times(2+C(9)))$
92854 := $((C(45)+C((8+2)))+C(9))$
93042 := $((C((2+40))+C(C(3)))-(C(9)))$
93125 := $(C(5)\times((2^{1+3})+C(9)))$
93238 := $(-(C(8))-(C((C(3)-2))\times(3-9)))$
93244 := $((-(4)-C(4))-(-(2)\times C((C(3)+9))))$
93248 := $(-(C((8-4)))-(-(2)\times C((C(3)+9))))$
93285 := $-((C(-((5-8)))+(-(2)\times C((C(3)+9)))))$
93294 := $(((C((4\times 9))\times 2)-C(3))+9)$
93311 := $(-(1)+(-((1-3))\times C((C(3)+9))))$
93312 := $(2\times C((((1^3)+3)\times 9)))$
93321 := $((C(12)\times(C(3)+C(3)))+9)$
93322 := $(2\times((2+3)+C((C(3)+9))))$
93339 := $((C((9+C(3)))+C(3))+C((C(3)+9)))$
93375 := $(C(5)\times(((7\times 3)-3)+C(9)))$
93382 := $(2\times((8+C(3))+C((C(3)+9))))$
93384 := $(((C(C(4))+C(8))/3)+C((C(3)-9)))$
93479 := $((C((9+7))\times(-(4)+C(3)))-C(9))$
93526 := $((C(6)-2)+((C(5)+3)\times C(9)))$
93528 := $(C((8-2))+((C(5)+3)\times C(9)))$
93529 := $((C(9)-C(C(2)))+((C(5)+3)\times C(9)))$
93548 := $((C(8)\times 4)-(C(5)\times(-(3)-C(9))))$
93552 := $(2\times((-(5)+C(5))+C((C(3)+9))))$
93562 := $((C(2)-(6))\times(C(5)+C((C(3)+9))))$
93625 := $(C(5)\times((2+(6\times 3))+C(9)))$
93645 := $((-(C(5))-C(C(4)))-(-(6)\times C(39)))$
93654 := $((4+C(5))\times(-((6-3))+C(9)))$
93685 := $((5\times C(8))+C((6+39)))$
93723 := $(C(3)+((2^7)\times(3+C(9))))$
93734 := $(-(C(4))+((C(C(3))-C((7\times 3)))\times 9))$
93761 := $(((-(1)+C((6\times 7)))+C(C(3)))-9)$
93771 := $(C(-(((1-7)\times 7)))+((3^9)))$
93794 := $(-(4)+(((C(9)-C(7))\times C(3))\times 9))$
93875 := $(5\times(C(7)+(C(8)\times(C(3)+9))))$
94041 := $(((1+C(4))+C(04))\times C(9))$
94125 := $(C(5)\times((C(2)\times(-(1-4)))+C(9)))$
94157 := $(-(C(7))-(-(C(5))\times(C(-((1-4)))+(C(9)))))$
94262 := $(C(C(2))+(6\times C(((2^4)+9))))$

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94326 := $((6 \times C((-(2) + C(3)))) + (C(4) \times 9))$
94427 := $-((C(7) + (((-(2) - C(4)) - C(4)) \times C(9))))$
94436 := $(C((-(6) + C(3))) + (C(44) - 9))$
94438 := $((-(C((8+3))) + C(C(4))) - C((C(4) - 9)))$
94462 := $(-((2 - (6^4))) \times (C(4) + 9))$
94553 := $(C((3+5)) + ((C(5) + (4)) \times C(9)))$
94558 := $((C(8) + (5)) + ((C(5) + (4)) \times C(9)))$
94824 := $(C((4+2)) \times ((C(8) - C(4)) - 9))$
94848 := $((C(8)/(-4)) \times (-((8+4)) - C(9)))$
94968 := $(8 \times ((C(6) \times (-(9) + C(4))) - 9))$
95125 := $(C(5) \times (((2 \times 1)^5) + C(9)))$
95221 := $(C(((1 \times 2) \times C(2))) + (C((5 \times 9))))$
95232 := $((C(C(2)) \times 3) \times (-(2) + C(-((5-9)))))$
95247 := $((C(7) + ((-(4) \times C(C(2))) \times (-5))) \times 9)$
95264 := $((C(C(4)) - (C(62))) \times (-(5-9)))$
95297 := $(((-(7) + C(9)) \times (C(2) + C(5))) - C(9))$
95346 := $(((C(6)/(-4)) + C((C(3) - (5)))) \times 9)$
95365 := $(-(5) \times ((6 - C(C(3))) - (C(5) - C(9))))$
95368 := $((C(8) + C(6)) \times ((-(3) + C(5)) + 9))$
95375 := $((C(5) \times (7 + C(3))) + C((5 \times 9)))$
95384 := $((C(4) - C(8)) - (C((C(3) - (5))) \times (-9)))$
95395 := $(5 \times ((C((9 \times 3)) + C(5)) - C(9)))$
95424 := $(C(4) \times (((C(2) + (4)) \times C(5)) - 9))$
95472 := $(C(2) \times ((C((7+4)) - (5)) \times 9))$
95499 := $(C(9) - ((-((9-4)) - C(5)) \times C(9)))$
95697 := $(C(7) \times (((9 \times 6) \times 5) + 9))$
95774 := $(-((C(C(4)) - (7))) + C((7 + C(-((5-9))))))$
95787 := $((C(((7+8)+7)) - (5)) \times 9)$
95832 := $(C(((-(2) + C(3)) - (8-5))) \times 9)$
95835 := $(5 \times (C(C(3)) - (C(8) - ((5-9)))))$
95838 := $(-(8) - (((C(C(3)) - C(8)) \times (-5)) + 9))$
95877 := $((C(((7+7)+8)) + (5)) \times 9)$
96125 := $(C(5) \times ((C(2) \times (-(1-6))) + C(9)))$
96159 := $(((9 + C(5)) - 1) \times (-(6) + C(9)))$
96224 := $(-(4) - (-((22 \times 6)) \times C(9)))$
96228 := $((-((82+2)) + C(6)) \times C(9))$
96256 := $((C(6) \times (-5)) + C(-((C(2) - ((6 \times 9))))))$
96285 := $((C(5) + (8-2)) \times (6 + C(9)))$
96354 := $(((C(4) + C((-(5) + C(3)))) - (6)) \times 9)$
96364 := $(((C(46) - C(3)) - C(6)) - C(9))$
96391 := $(C((19 + C(3))) - (C(6) + C(9)))$
96435 := $((5 \times C(C(3))) + ((-(4) - C(6)) \times 9))$
96472 := $-((C(C(2)) + ((C(7) - C(46)) + 9)))$
96475 := $-((((C(5) + (7)) - C(46)) + C(9)))$
96625 := $(C(5) \times ((C(2) + (6 \times 6)) + C(9)))$
96634 := $((C(C(4)) + C(C(3))) - (C((66-9))))$
96643 := $(C((3 + C(4))) - (C(6) \times (C(6) + C(9))))$
96677 := $(-(7) \times ((7+6) - C((C(6)/9))))$
96704 := $(-(C(4)) - ((0-7) \times C((C(6)/9))))$
96741 := $-((C(-((1-4))) + (-(7) \times C((C(6)/9)))))$
96747 := $(-(7) \times (-((4-7)) - C((C(6)/9))))$
96753 := $(-((3 \times 5)) - (-(7) \times C((C(6)/9))))$
96759 := $(((C((9-5)) \times 7) \times C(6)) - 9)$
96761 := $(-((1+6)) - (-(7) \times C((C(6)/9))))$
96767 := $(-((7-6)) - (-(7) \times C((C(6)/9))))$
96768 := $(((8+6) - 7) \times C((C(6)/9)))$
96783 := $((C((3 \times 8)) \times 7) + ((6+9)))$
96817 := $(-(7) \times ((1-8) - C((C(6)/9))))$
96822 := $((-(2) - C(C(2))) + C(-((8 - (6 \times 9)))))$
96823 := $(C(((C(3) \times 2) - 8)) + ((C(6) - C(9))))$
96824 := $(-(C((4 \times 2))) + C(-((8 - (6 \times 9)))))$
96837 := $((7 \times C((3 \times 8))) + 69)$
96875 := $(C(5) \times (C(7) + ((8 \times 6) \times 9)))$
96876 := $((6 \times 78) \times (C(6) - 9))$
96957 := $(((-(7) + C(5)) + ((9+6))) \times C(9))$
97125 := $(C(5) \times ((C(2) \times (-(1-7))) + C(9)))$
97152 := $(((C(2) + C(5)) - 1) \times (7 + C(9)))$
97173 := $(C(3) \times (C((7+1)) + (C(7) \times 9)))$
97273 := $(C(-((3 - (7^2)))) - ((7 \times 9)))$
97324 := $((-(4) - C(2)) + C((37+9)))$
97327 := $(-((7+2)) + C((37+9)))$
97328 := $(-(8) + C(-((23 \times (7-9)))))$
97329 := $(-((9-2)) + C((37+9)))$
97333 := $(-(3) + C(-((33-79))))$
97334 := $(C((43+3)) + ((7-9)))$
97335 := $(-(5) \times (C(3) - (C(3) \times (-(7) + C(9)))))$
97336 := $C((((6 \times 3) + 37) - 9))$
97338 := $(C(((-(8) + C(3)) + C(3))) - ((7-9)))$
97339 := $((9/3) + C((37+9)))$
97363 := $(C(3) + C(((-(6) - C(3)) + 79)))$
97364 := $(C(46) + (37-9))$
97416 := $(C(6) \times (((1 + C(4)) - C(7)) + C(9)))$
97464 := $(C(46) + (C(4) \times (-(7-9))))$
97479 := $(((-(9) - C(7)) \times (C(4) - C(7))) - C(9))$
97524 := $(-(4) \times ((C(C(2)) - (C(5))) \times (-(7 \times 9))))$

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$97532 := ((((C(C(2)) \times (-C(3))) - (5)) \times (-7)) + (C(9)))$
$97534 := (C(4) + ((C(3) \times 5) \times (-(7) + C(9))))$
$97572 := ((C(C(2)) + (7)) \times (C(5) + ((7 \times 9))))$
$97625 := (C(5) \times (-(2) - ((C(6) \times (-7)) + C(9))))$
$97632 := (-(2) \times (C(3) - (67 \times C(9))))$
$97643 := -((((C(3) - C(46)) - C(7)) + 9))$
$97664 := (((C(46) - (6)) + C(7)) - 9)$
$97672 := (2 \times (-(7) + (67 \times C(9))))$
$97678 := (-(8) - (((-(7) + C(6)) - C(7)) \times C(9)))$
$97686 := ((6 + ((8-6)^7)) \times C(9))$
$97735 := ((5 \times C(C(3))) + ((7 \times 7) - C(9)))$
$97746 := ((((6 - C(4)) + C(7)) \times C(7)) - 9)$
$97764 := -(((((C(4) - (6)) - C(7)) \times C(7)) - 9))$
$97848 := (C(8) + C(((48 + 7) - 9)))$
$97864 := ((C(46) + C(8)) + ((7 + 9)))$
$98125 := (C(5) \times ((C(2) \times (-(1 - 8))) + C(9)))$
$98232 := (C(2) \times ((3 \times C((2 \times 8))) - 9))$
$98304 := (C(((4 \times 03) \times 8))/9)$
$98313 := ((3 \times C(((1 + 3) \times 8))) + 9)$
$98343 := (((C(C(3)) \times 4) + C(C(3))) - ((8 \times 9)))$
$98345 := (((C(5) + C((-(4) + C(3)))) \times 8) + 9)$
$98353 := ((C(C(3)) \times 5) + ((C(3) - (89))))$
$98355 := (-(5) \times ((-(5) - C(C(3))) + (8 + 9)))$
$98358 := (-(8) + ((5 \times (C(C(3)) - 8)) - 9))$
$98375 := (-(5) \times ((7 - C(C(3))) - ((8 - 9))))$
$98384 := (-((4 - 8)) \times (C(C(3)) + (C((8 + 9)))))$
$98425 := (-(5) \times (-(2) - C(C(((4 + 8) - 9)))))$
$98434 := -((C((-(4) + C(3))) - ((C(48) + 9))))$
$98435 := (-(5) \times ((C(C(3)) + (4)) \times (8 - 9)))$
$98496 := (((C(6) - C(9)) \times C((4 + 8)))/(-9))$
$98533 := (((-(C(3)) - C(C(3))) \times (-5)) - (8 + 9))$
$98545 := (-(5) \times (C(4) + (C((5 + 8)) \times (-9))))$
$98625 := -((C(5) \times ((C(2) - 68) - C(9))))$
$98632 := -((C(C(2)) - (C((3 \times 6)) \times (8 + 9)))))$
$98637 := (-((7 \times 3)) \times (C(6) - C((8 + 9))))$
$98784 := ((-((4 - 8)) \times C(7)) \times (8 \times 9))$
$98793 := ((((C(3) + 9) \times C(7)) \times 8) + 9)$
$98944 := -((C(C(4)) - (C(4) \times (C(9) + C((8 + 9))))))$
$98954 := (((4 + C(5)) \times C(9)) + C((8 + 9)))$
$99125 := (C(5) \times ((C(2) \times (-(1 - 9))) + C(9)))$
$99135 := ((((5 \times C(3)) + 1) \times C(9)) - 9)$
$99144 := (((4 \times 4) + 1) \times C((9 + 9)))$
$99153 := ((((C(3) \times 5) + 1) \times C(9)) + 9)$
$99328 := (C(8) \times (2 + (C((3 + 9))/9)))$
$99535 := (5 \times (C(C(3)) + (C(5) + 99)))$
$99549 := (9 \times (((4 \times C(5)) + C(9)) \times 9))$
$99584 := (C(4) \times (C(8) + ((C(5) - 9) \times 9)))$
$99594 := ((C((4 + 9)) \times (5 \times 9)) + C(9))$
$99864 := ((C(4) - C(6)) \times ((8 \times 9) - C(9)))$
$99875 := (C(5) \times (7 + (8 \times 99)))$

4 Summary: Selfie Numbers

The author studied different ways of expressing numbers in such a way that both sides of the expressions are with same digits. One side is with number, and another side is an expression formed by same digits with some operations. These types of numbers we call **selfie numbers**. Some times they are called as **wild narcissistic numbers**. These numbers are represented by their own digits by use of certain operations. Subsections below give different ways of writing **selfie numbers**. Examples of selfie numbers with **Fibonacci sequence**, **Triangular numbers**,etc. In two variables, we obtained selfie numbers with **binomial coefficients**, **S-gonal numbers**, **centered polygonal numbers**, etc. The other way of writing **selfie numbers** is by use of permutable powers, where bases and exponents are of same digits. See the subsection below with some examples.

4.1 Permutable Powers

Below are some examples of **permutable power selife numbers**. By **permutable powers**, we understand that bases and exponents are of same digits with different permutations. Some times we may call them as **flexible power selfie numbers**.

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$$\begin{aligned}
\mathbf{1} &:= 1^1 \\
\mathbf{23} &:= -2^2 + 3^3 \\
\mathbf{1239} &:= 1^2 + 2^9 - 3^1 + 9^3 \\
\mathbf{1364} &:= 1^6 + 3^1 + 6^4 + 4^3 \\
\mathbf{1654} &:= -1^6 + 6^1 + 5^4 + 4^5 \\
\mathbf{1837} &:= 1^8 - 8^1 + 3^7 - 7^3 \\
\mathbf{2137} &:= -2^1 + 1^3 + 3^7 - 7^2 \\
\mathbf{2173} &:= -2^3 + 1^2 - 7^1 + 3^7 \\
\mathbf{2537} &:= 2^5 - 5^2 + 3^7 + 7^3 \\
\mathbf{3125} &:= -3^2 + 1^1 + 2^3 + 5^5 \\
\mathbf{3275} &:= -3^3 + 2^7 + 7^2 + 5^5 \\
\mathbf{3435} &:= 3^3 + 4^4 + 3^3 + 5^5
\end{aligned}$$

$$\begin{aligned}
\mathbf{3529} &:= -3^3 + 5^5 + 2^9 - 9^2 \\
\mathbf{4316} &:= 4^6 + 3^1 + 1^4 + 6^3 \\
\mathbf{4355} &:= 4^5 + 3^4 + 5^3 + 5^5 \\
\mathbf{39339} &:= -3^3 + 9^3 + 3^9 + 3^9 - 9^3 \\
\mathbf{46350} &:= -4^3 + 6^6 - 3^5 + 5^0 + 0^4 \\
\mathbf{46360} &:= 4^0 + 6^6 - 3^4 - 6^3 + 0^6 \\
\mathbf{397612} &:= 3^2 + 9^1 + 7^6 + 6^7 + 1^9 + 2^3 \\
\mathbf{423858} &:= 4^3 + 2^8 + 3^4 + 8^2 + 5^8 + 8^5 \\
\mathbf{637395} &:= 6^5 + 3^3 + 7^3 + 3^9 + 9^6 + 5^7 \\
\mathbf{758014} &:= 7^7 + 5^1 + 8^0 + 0^5 + 1^4 - 4^8 \\
\mathbf{778530} &:= 7^7 + 7^3 + 8^5 - 5^7 + 3^0 + 0^8 \\
\mathbf{804637} &:= 8^0 + 0^4 - 4^8 + 6^6 - 3^3 + 7^7
\end{aligned}$$

$$\begin{aligned}
\mathbf{15647982} &:= 1^5 - 5^9 + 6^2 + 4^4 + 7^7 - 9^1 + 8^8 + 2^6 \\
\mathbf{17946238} &:= 1^6 + 7^8 + 9^4 + 4^2 + 6^9 + 2^3 + 3^1 + 8^7 \\
\mathbf{57396108} &:= -5^6 + 7^9 + 3^5 + 9^3 + 6^7 + 1^1 + 0^0 + 8^8 \\
\mathbf{134287690} &:= 1^2 + 3^8 + 4^7 + 2^4 + 8^9 + 7^3 + 6^6 + 9^0 + 0^1 \\
\mathbf{387945261} &:= 3^3 + 8^2 + 7^6 + 9^9 + 4^7 + 5^8 + 2^4 + 6^1 + 1^5 \\
\mathbf{392876054} &:= 3^0 + 9^9 - 2^2 - 8^5 + 7^8 - 6^7 + 0^3 - 5^4 + 4^6 \\
\mathbf{392876540} &:= -3^0 + 9^9 - 2^4 - 8^5 + 7^8 - 6^7 - 5^3 + 4^6 + 0^2
\end{aligned}$$

More details can be seen in author's work [16].

4.2 Basic Operations

This subsection brings **selfie numbers** by use of **basic operations**. See below some examples in both orders:

$$\begin{aligned}
\mathbf{13825} &:= 1 + (3 \times 8)^{-2+5} && = ((5-2) \times 8)^3 + 1 \\
\mathbf{14641} &:= (1+4+6)^4 \times 1 && = (1+4+6)^4 \times 1 \\
\mathbf{15552} &:= (1^5+5)^5 \times 2 && = 2 \times (6^5+5) \times 1 \\
\mathbf{16377} &:= (1+6-3)^7 - 7 && = -7 + (7-3)^{6+1} \\
\mathbf{23328} &:= (2 \times 3^3)^2 \times 8 && = (8-2)^{3+3}/2 \\
\mathbf{116565} &:= (-1+16) \times (-5+6^5) && = 5 \times (3 \times 6^{6-1} - 1) \\
\mathbf{131072} &:= (1+3)^{1+0+7} \times 2 && = 2^{(7+0-1)\times 3-1} \\
\mathbf{147419} &:= -1 + (4^7-4) \times 1 \times 9 && = 9 \times (1 \times 4^7 - 4) - 1 \\
\mathbf{147429} &:= 1 + (4^7 - 4/2) \times 9 && = 9 \times (2 + 4^7 - 4 - 1) \\
\mathbf{147491} &:= 1 \times (4^7+4) \times 9 - 1 && = 1 \times 9 \times (4^7+4) - 1 \\
\mathbf{156252} &:= 1 \times 5^6 \times 2 \times 5 + 2 && = 2 \times (5^{2\times 6-5} + 1)
\end{aligned}$$

Cubic-Type Selfie Numbers, **Zenodo**, March 08, 2019, pp. 1-150,
http://doi.org/10.5281/zenodo.2591257

The above numbers are in **digit's order** and in **reverse order of digits**. Below are consecutive sequence values in both ways, i.e., in digit's order and in reverse order of digits:

$$\begin{aligned}
\mathbf{656250} &:= 6\times 5^6\times(2+5)+0 = 0+(5+2)\times 6\times 5^6\\
\mathbf{656251} &:= 6\times 5^6\times(2+5)+1 = 1+(5+2)\times 6\times 5^6\\
\mathbf{656252} &:= 6\times 5^6\times(2+5)+2 = 2+(5+2)\times 6\times 5^6\\
\mathbf{656253} &:= 6\times 5^6\times(2+5)+3 = 3+(5+2)\times 6\times 5^6\\
\mathbf{656254} &:= 6\times 5^6\times(2+5)+4 = 4+(5+2)\times 6\times 5^6\\
\mathbf{656255} &:= 6\times 5^6\times(2+5)+5 = 5+(5+2)\times 6\times 5^6\\
\mathbf{656256} &:= 6\times 5^6\times(2+5)+6 = 6+(5+2)\times 6\times 5^6\\
\mathbf{656257} &:= 6\times 5^6\times(2+5)+7 = 7+(5+2)\times 6\times 5^6\\
\mathbf{656258} &:= 6\times 5^6\times(2+5)+8 = 8+(5+2)\times 6\times 5^6\\
\mathbf{656259} &:= 6\times 5^6\times(2+5)+9 = 9+(5+2)\times 6\times 5^6.
\end{aligned}$$

For more details refer author's work [9, 10].

4.3 Factorial

This subsection brings **selfie numbers** with use of **factorial**. See below some examples:

$$\begin{aligned}
\mathbf{145} &:= 1!+4!+5!\\
\mathbf{733} &:= 7+3!!+3!\\
\mathbf{1463} &:= -1!+4!+6!+3!!\\
\mathbf{5177} &:= 5!+17+7!\\
\mathbf{10077} &:= -1!-0!-0!+7!+7!\\
\mathbf{40585} &:= 4!+0!+5!+8!+5!\\
\mathbf{80518} &:= 8!-0!-5!-1!+8!\\
\mathbf{317489} &:= -3!-1!-7!-4!-8!+9!\\
\mathbf{352797} &:= -3!+5-2!-7!+9!-7!\\
\mathbf{357592} &:= -3!-5!-7!-5!+9!-2!\\
\mathbf{357941} &:= 3!+5!-7!+9!-4!-1!
\end{aligned}$$

$$\begin{aligned}
\mathbf{361469} &:= 3!-6!-1!+4!-6!+9!\\
\mathbf{363239} &:= 36+323+9!\\
\mathbf{363269} &:= 363+26+9!\\
\mathbf{364292} &:= 3!!+6!-4!-2!+9!-2!\\
\mathbf{397584} &:= -3!!+9!-7!+5!+8!+4!\\
\mathbf{398173} &:= 3!+9!+8!+1!-7!+3!\\
\mathbf{403199} &:= 40319+9!\\
\mathbf{408937} &:= -4!+0!+8!+9!+3!!+7!\\
\mathbf{715799} &:= -7!-1!+5!-7!+9!+9!\\
\mathbf{720599} &:= -7!-2!+0!-5!+9!+9!
\end{aligned}$$

The above numbers are in **digit's order** and are only with positive and negative coefficients. Below are consecutive sequence values in both ways:

$$\begin{aligned}
\mathbf{35280} &:= -3!!\times(5+2)+8!+0 = 0+8!-(2\times 5-3)!\\
\mathbf{35281} &:= -3!!\times(5+2)+8!+1 = 1+8!-(2\times 5-3)!\\
\mathbf{35282} &:= -3!!\times(5+2)+8!+2 = 2+8!-(2\times 5-3)!\\
\mathbf{35283} &:= -3!!\times(5+2)+8!+3 = 3+8!-(2\times 5-3)!\\
\mathbf{35284} &:= -3!!\times(5+2)+8!+4 = 4+8!-(2\times 5-3)!\\
\mathbf{35285} &:= -3!!\times(5+2)+8!+5 = 5+8!-(2\times 5-3)!\\
\mathbf{35286} &:= -3!!\times(5+2)+8!+6 = 6+8!-(2\times 5-3)!
\end{aligned}$$

Cubic-Type Selfie Numbers, **Zenodo**, March 08, 2019, pp. 1-150,
http://doi.org/10.5281/zenodo.2591257

$$\mathbf{35287} := -3!! \times (5+2) + 8! + 7 = 7 + 8! - (2 \times 5 - 3)!$$
$$\mathbf{35288} := -3!! \times (5+2) + 8! + 8 = 8 + 8! - (2 \times 5 - 3)!$$
$$\mathbf{35289} := -3!! \times (5+2) + 8! + 9 = 9 + 8! - (2 \times 5 - 3)!.$$

For more details refer author's work [22, 23].

4.4 Square-Root

This subsection brings **selfie numbers** with use of **square-root**. See below some examples in both orders, i.e., in **digit's order** and in **reverse order of digits**:

$$\mathbf{1764} := 1 \times (7 \times 6)^{\sqrt{4}}$$
$$\mathbf{2378} := -23 + \sqrt{7^8}$$
$$\mathbf{19454} := 19 \times 4^5 - \sqrt{4}$$
$$\mathbf{19459} := 19 \times 4^5 + \sqrt{9}$$
$$\mathbf{19684} := 1 + \sqrt{9\sqrt{\sqrt{6^8}/4}}$$
$$\mathbf{839793} := (-8 + (-3+9)^7 + \sqrt{9}) \times 3$$
$$\mathbf{839795} := -8 + (-3+9)^7 \times \sqrt{9} - 5$$
$$\mathbf{839804} := (-8 + (3-9)^8 + 0)/\sqrt{4}$$
$$\mathbf{839816} := (8 + (3-9)^8)/\sqrt{\sqrt{16}}$$
$$\mathbf{995544} := ((9 + \sqrt{9})^5 + 54) \times 4$$
$$\mathbf{999916} := -9 \times 9 - \sqrt{9} + (9+1)^6$$
$$\mathbf{999976} := -\sqrt{9} \times 9 + \sqrt{9} + (\sqrt{9} + 7)^6$$

$$\mathbf{64} := \sqrt{4^6}$$
$$\mathbf{1024} := \sqrt{\sqrt{4^{20}}} \times 1$$
$$\mathbf{1296} := 6^{\sqrt{9}+2-1}$$
$$\mathbf{2189} := \sqrt{9^{8-1}} + 2$$
$$\mathbf{3867} := (-7 + \sqrt{6^8}) \times 3$$
$$\mathbf{9375} := \sqrt{5^{7+3} \times 9}$$
$$\mathbf{12289} := \sqrt{9} \times 8^{2\times 2} + 1$$
$$\mathbf{19693} := 3^9 + 6 + \sqrt{9} + 1$$
$$\mathbf{42436} := (6 \times 34 + 2)^{\sqrt{4}}$$
$$\mathbf{59051} := \sqrt{-1+5} + 0 + 9^5$$
$$\mathbf{999901} := (10^{9-\sqrt{9}}) - 99$$
$$\mathbf{999991} := (1^9 + 99)^{\sqrt{9}} - 9$$

First column numbers are in **digit's order** and second columns are in **reverse order of digits**. For more details refer author's work [9, 10].

4.5 Factorial and Square-Root

Below are some examples with **factorial** and **square-root** written in both ways, i.e., in digit's order and its reverse

$$\mathbf{936} := (\sqrt{9})!^3 + 6! \qquad = 6! + (3!)^{\sqrt{9}}$$
$$\mathbf{1296} := \sqrt{(1+2)!^9/6} \qquad = 6^{(\sqrt{9}+2-1)}$$
$$\mathbf{2896} := 2 \times (8 + (\sqrt{9})!! + 6!) \quad = (6! + (\sqrt{9})!! + 8) \times 2$$
$$\mathbf{331779} := 3 + (31-7)^{\sqrt{7+9}} \qquad = \sqrt{9} + (7 \times 7 - 1)^3 \times 3$$
$$\mathbf{342995} := (3^4 - 2 - 9)^{\sqrt{9}} - 5 \qquad = -5 + (-9 + 9^2 - \sqrt{4})^3$$
$$\mathbf{759375} := (-7 + 59 - 37)^5 \qquad = (5+7+3)^{\sqrt{9}-5+7}.$$
$$\mathbf{759381} := 7 + (5 \times \sqrt{9})^{-3+8} - 1 = -1 + (8 \times 3 - 9)^5 + 7.$$

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http://doi.org/10.5281/zenodo.2591257

$$\begin{aligned}
\mathbf{5040} &:= (5+0+\sqrt{4})!+0 = 0+(\sqrt{4}+0+5)!\\
\mathbf{5041} &:= (5+0+\sqrt{4})!+1 = 1+(\sqrt{4}+0+5)!\\
\mathbf{5042} &:= (5+0+\sqrt{4})!+2 = 2+(\sqrt{4}+0+5)!\\
\mathbf{5043} &:= (5+0+\sqrt{4})!+3 = 3+(\sqrt{4}+0+5)!\\
\mathbf{5044} &:= (5+0+\sqrt{4})!+4 = 4+(\sqrt{4}+0+5)!\\
\mathbf{5045} &:= (5+0+\sqrt{4})!+5 = 5+(\sqrt{4}+0+5)!\\
\mathbf{5046} &:= (5+0+\sqrt{4})!+6 = 6+(\sqrt{4}+0+5)!\\
\mathbf{5047} &:= (5+0+\sqrt{4})!+7 = 7+(\sqrt{4}+0+5)!\\
\mathbf{5048} &:= (5+0+\sqrt{4})!+8 = 8+(\sqrt{4}+0+5)!\\
\mathbf{5049} &:= (5+0+\sqrt{4})!+9 = 9+(\sqrt{4}+0+5)!
\end{aligned}$$

The following examples are in **digit's order** and its **reverse** separately:

$$\begin{aligned}
\mathbf{120} &:= ((1+2)!-0!)!\\
\mathbf{127} &:= -1+2^7\\
\mathbf{1673} &:= -1-6+7!/3\\
\mathbf{1679} &:= 1+(-6+7!)/\sqrt{9}\\
\mathbf{1680} &:= (1+6)!/\sqrt{8+0!}\\
\mathbf{38970} &:= -3!!+8!-9\times 70\\
\mathbf{38986} &:= -3+8!-\sqrt{(\sqrt{9}+8)^6}\\
\mathbf{40310} &:= (\sqrt{4^{03}})!-10\\
\mathbf{90894} &:= -(\sqrt{9})!+((0!+8)!+(\sqrt{9})!!)/4\\
\mathbf{91560} &:= ((\sqrt{9})!+1)!+5!\times(6!+0!)
\end{aligned}$$

$$\begin{aligned}
\mathbf{25} &:= 5^2\\
\mathbf{64} &:= \sqrt{4^6}\\
\mathbf{289} &:= (9+8)^2\\
\mathbf{3894} &:= (\sqrt{4}+\sqrt{(\sqrt{9})!^8})\times 3\\
\mathbf{4957} &:= 7!-59-4!\\
\mathbf{6992} &:= 2^9+9\times 6!\\
\mathbf{26493} &:= (2+6)!-4!^{\sqrt{9}}-3\\
\mathbf{30792} &:= 3!\times((0+7)!+92)\\
\mathbf{54476} &:= (5!+4!^4-7!)/6\\
\mathbf{75989} &:= \sqrt{9}\times(8-(\sqrt{9})!!)+5^7
\end{aligned}$$

First column numbers are in **digit's order** and second columns are in **reverse order of digits**. For details refer author's work [9, 10, 11].

4.6 Fibonacci Sequence

Fibonacci sequence numbers are well known in literature. This sequence is defined as

$$F(0)=0,\quad F(1)=1,\quad F(n+1)=F(n)+F(n-1),\quad n\geq 1.$$

Below are examples of **selfie numbers** by use of **Fibonacci sequence values**. This we have done in different situations, such as using $F(\cdot)$ and $F(F(\cdot))$ in separate works. See below examples:

$$\begin{aligned}
\mathbf{143} &:= -1+F(4\times 3) &&= F(3\times 4)-1\\
\mathbf{986} &:= F(9)\times(F(8)+F(6)) &&= (F(6)+F(8))\times F(9)\\
\mathbf{1178} &:= F(11)\times F(7)+F(8) &&= F(8)+F(7)\times F(11)
\end{aligned}$$

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$$\begin{aligned}
\mathbf{2585} &:= F(2)+F(5+8+5) && = F(5+8+5)+F(2)\\
\mathbf{12819} &:= 1+F(2\times(8-1))\times F(9) && = F(9)\times F((-1+8)\times 2)+1\\
\mathbf{24297} &:= F(2\times 4)\times F(2+9)\times F(7) && = F(7)\times F(9+2)\times F(4\times 2)\\
\mathbf{39394} &:= -3+93+F(9)^{F(4)} && = (-4+F(9))\times 3+F(9)^3\\
\mathbf{74997} &:= -7\times 4+F(9+9+7) && = F(7+9+9)-4\times 7\\
\mathbf{87937} &:= -8+F(7)\times F(9\times 3-7) && = F(7)\times F(3\times 9-7)-8\\
\mathbf{98703} &:= 9\times(F(8)+F(7\times 03)) && = (F(3\times 07)+F(8))\times 9
\end{aligned}$$

$$\begin{aligned}
\mathbf{34} &:= F(3\times F(4))\\
\mathbf{233} &:= F(F(-2+3\times 3))\\
\mathbf{630} &:= F(F(6))\times 30\\
\mathbf{1178} &:= F(11)\times F(7)+F(8)\\
\mathbf{2079} &:= (-2+F(F(07)))\times 9\\
\mathbf{4864} &:= F(F(4))^8\times(F(F(6))-F(F(4)))\\
\mathbf{8759} &:= -F(9-5)^7+F(F(8))\\
\mathbf{8849} &:= -9\times F(F(F(F(4)))-8))+F(F(8))\\
\mathbf{9349} &:= -F(F(9)/F(F(4)))+F(F(F(-3+9)))
\end{aligned}$$

$$\begin{aligned}
\mathbf{36} &:= 6^{F(3)}\\
\mathbf{143} &:= F(3\times 4)-1\\
\mathbf{231} &:= F(13)-2\\
\mathbf{377} &:= F(-7+7\times 3)\\
\mathbf{986} &:= (F(6)+F(8))\times F(9)\\
\mathbf{1165} &:= 5\times F(F(6\times 1+1))\\
\mathbf{1596} &:= F(F(6)+9)-F(F(F(5-1)))\\
\mathbf{2592} &:= F(2\times 9)+F(5+F(2))\\
\mathbf{9756} &:= F(F(F(6)))-5\times 7\times F(9)
\end{aligned}$$

$$\begin{aligned}
\mathbf{834660} &:= (F(8\times 3)\times F(4)+6)\times 6+0 = 0+6\times(6+F(4)\times F(3\times 8))\\
\mathbf{834661} &:= (F(8\times 3)\times F(4)+6)\times 6+1 = 1+6\times(6+F(4)\times F(3\times 8))\\
\mathbf{834662} &:= (F(8\times 3)\times F(4)+6)\times 6+2 = 2+6\times(6+F(4)\times F(3\times 8))\\
\mathbf{834663} &:= (F(8\times 3)\times F(4)+6)\times 6+3 = 3+6\times(6+F(4)\times F(3\times 8))\\
\mathbf{834664} &:= (F(8\times 3)\times F(4)+6)\times 6+4 = 4+6\times(6+F(4)\times F(3\times 8))\\
\mathbf{834665} &:= (F(8\times 3)\times F(4)+6)\times 6+5 = 5+6\times(6+F(4)\times F(3\times 8))\\
\mathbf{834666} &:= (F(8\times 3)\times F(4)+6)\times 6+6 = 6+6\times(6+F(4)\times F(3\times 8))\\
\mathbf{834667} &:= (F(8\times 3)\times F(4)+6)\times 6+7 = 7+6\times(6+F(4)\times F(3\times 8))\\
\mathbf{834668} &:= (F(8\times 3)\times F(4)+6)\times 6+8 = 8+6\times(6+F(4)\times F(3\times 8))\\
\mathbf{834669} &:= (F(8\times 3)\times F(4)+6)\times 6+9 = 9+6\times(6+F(4)\times F(3\times 8)).
\end{aligned}$$

$$\begin{aligned}
\mathbf{21960} &:= 2\times 1\times(F(9)+F(F(F(6))))+0 = 0+(F(F(F(6)))+F(9))\times 1\times 2\\
\mathbf{21961} &:= 2\times 1\times(F(9)+F(F(F(6))))+1 = 1+(F(F(F(6)))+F(9))\times 1\times 2\\
\mathbf{21962} &:= 2\times 1\times(F(9)+F(F(F(6))))+2 = 2+(F(F(F(6)))+F(9))\times 1\times 2\\
\mathbf{21963} &:= 2\times 1\times(F(9)+F(F(F(6))))+3 = 3+(F(F(F(6)))+F(9))\times 1\times 2\\
\mathbf{21964} &:= 2\times 1\times(F(9)+F(F(F(6))))+4 = 4+(F(F(F(6)))+F(9))\times 1\times 2\\
\mathbf{21965} &:= 2\times 1\times(F(9)+F(F(F(6))))+5 = 5+(F(F(F(6)))+F(9))\times 1\times 2\\
\mathbf{21966} &:= 2\times 1\times(F(9)+F(F(F(6))))+6 = 6+(F(F(F(6)))+F(9))\times 1\times 2\\
\mathbf{21967} &:= 2\times 1\times(F(9)+F(F(F(6))))+7 = 7+(F(F(F(6)))+F(9))\times 1\times 2\\
\mathbf{21968} &:= 2\times 1\times(F(9)+F(F(F(6))))+8 = 8+(F(F(F(6)))+F(9))\times 1\times 2\\
\mathbf{21969} &:= 2\times 1\times(F(9)+F(F(F(6))))+9 = 9+(F(F(F(6)))+F(9))\times 1\times 2.
\end{aligned}$$

Cubic-Type Selfie Numbers, **Zenodo**, March 08, 2019, pp. 1-150,
http://doi.org/10.5281/zenodo.2591257

First three blocks are in both ways. In the last block the first column values are in **digit's order** and the second columns values are in **reverse order of digits**. For more details see author's [19, 20].

4.7 Triangular Numbers

Triangular numbers are very much famous in the literature of mathematics. The general formula to write these numbers is given by

$$T(n) = 1 + 2 + 3 + ... = \frac{n+1}{2} = C(n+1, 2).$$

The examples given in above subsections are with **factorial**, **square-root**, **Fibonacci sequence** numbers, etc. Still, one can have similar kind of results using **Triangular numbers**. See below some examples:

$$\begin{aligned}
\mathbf{1069} &:= T(10) - T(6) + T(T(9)) \\
\mathbf{1081} &:= T(1 + T(08 + 1)) \\
\mathbf{2887} &:= T(T(T(T(2)))) + T(T(8) + T(8)) + T(7) \\
\mathbf{4965} &:= T(-4 + 9) + T(-T(6) + T(T(5))) \\
\mathbf{4999} &:= 49 + T(99) \\
\mathbf{99545} &:= T(9) + T(9) \times T(T(T(5) - 4)) + 5 \\
\mathbf{99546} &:= T(9) + T(9) \times T(T(T(5) - 4)) + 6.
\end{aligned}$$

$$\begin{aligned}
\mathbf{874} &:= T(T(T(4))) - T(T(7) + 8) \\
\mathbf{0105} &:= 50 + T(10) \\
\mathbf{1155} &:= -T(T(5)) + T(51 - 1) \\
\mathbf{1224} &:= T(T(T(4)) - T(T(2))) - 2 + 1 \\
\mathbf{2418} &:= T(81) - T(42) \\
\mathbf{99632} &:= 2 + (3 + T(T(6) + T(9))) \times T(9) \\
\mathbf{99633} &:= 3 + (3 + T(T(6) + T(9))) \times T(9).
\end{aligned}$$

First column values are in **digit's order** and the second column values are in **reverse order of digits**. In consecutive sequential values we have:

$$\begin{aligned}
\mathbf{2210} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 0 = 0 - 1 + T(T(T(T(T(2))))/T(T(T(2))))) \\
\mathbf{2211} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 1 = 1 - 1 + T(T(T(T(T(2))))/T(T(T(2))))) \\
\mathbf{2212} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 2 = 2 - 1 + T(T(T(T(T(2))))/T(T(T(2))))) \\
\mathbf{2213} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 3 = 3 - 1 + T(T(T(T(T(2))))/T(T(T(2))))) \\
\mathbf{2214} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 4 = 4 - 1 + T(T(T(T(T(2))))/T(T(T(2))))) \\
\mathbf{2215} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 5 = 5 - 1 + T(T(T(T(T(2))))/T(T(T(2))))) \\
\mathbf{2216} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 6 = 6 - 1 + T(T(T(T(T(2))))/T(T(T(2))))) \\
\mathbf{2217} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 7 = 7 - 1 + T(T(T(T(T(2))))/T(T(T(2))))) \\
\mathbf{2218} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 8 = 8 - 1 + T(T(T(T(T(2))))/T(T(T(2))))) \\
\mathbf{2219} &:= T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 9 = 9 - 1 + T(T(T(T(T(2))))/T(T(T(2))))).
\end{aligned}$$

For more details see author's work [17].

4.8 Binomial Coefficients

Binomial coefficients are well known in literature. They are given by

$$C(m, r) = \frac{m!}{r! \times (m-r)!},\ m \geq r \geq 0,\ m, r \in \mathbf{N}.$$

Cubic-Type Selfie Numbers, **Zenodo**, March 08, 2019, pp. 1-150,
http://doi.org/10.5281/zenodo.2591257

In above subsections, we gave examples of selfie numbers with **Fibonacci sequence**, **Triangular numbers**, etc. Still, one can have similar kind results using **binomial coefficients**. See below some examples written in **both ways**, **digit's order** and **reverse order of digits**:

$$\begin{aligned}
\mathbf{6435} &:= C(C(6,\ 4),\ 3+5) &&= C(5\times 3,\ \sqrt{4}+6)\\
\mathbf{15504} &:= C(15+5,\ 0!+4) &&= C(4\times 05,\ 5\times 1)\\
\mathbf{42504} &:= C(4!,\ \sqrt{2\times 50/4}) &&= C(4!,\ -05+24)\\
\mathbf{54264} &:= C(5+4^2,\ C(6,\ 4)) &&= C(4!-6/2,\ (\sqrt{4+5})!)\\
\mathbf{74613} &:= C(7\times 4-6,\ 1\times 3!) &&= C(3!+16,\ (-4+7)!).
\end{aligned}$$

$$\begin{aligned}
\mathbf{12650} &:= C(-1+26,\ 5-0!)\\
\mathbf{12870} &:= C(1\times 2\times 8,\ 7+0!)\\
\mathbf{14950} &:= C(-1+4!+\sqrt{9},\ 5-0!)\\
\mathbf{18564} &:= C(18,\ (5-6+4)!)\\
\mathbf{19448} &:= C(19-\sqrt{4},\ \sqrt{4}+8)\\
\mathbf{26334} &:= C(2+C(6,\ 3),\ 3+\sqrt{4})\\
\mathbf{43758} &:= C(4!-3!,\ 7-5+8)\\
\mathbf{53130} &:= C(5^{3-1},\ 3!-0!).
\end{aligned}$$

$$\begin{aligned}
\mathbf{28} &:= C(8,\ 2)\\
\mathbf{792} &:= C(2\times(\sqrt{9})!,\ 7)\\
\mathbf{924} &:= C(4!/2,\ (\sqrt{9})!)\\
\mathbf{2024} &:= C(4!,\ 2+(0\times 2)!)\\
\mathbf{4845} &:= C(5\times 4,\ 8-4)\\
\mathbf{00378} &:= C(C(8,\ \sqrt{7-3}),\ 0!+0!)\\
\mathbf{00792} &:= C(2\times(\sqrt{9})!,\ 7-0!-0!)\\
\mathbf{00924} &:= C(4!/2,\ \sqrt{9}\times(0!+0!)).
\end{aligned}$$

Consecutive sequential representations:

$$\begin{aligned}
\mathbf{25920} &:= (-2+5)!!\times C(9,2)+0\\
\mathbf{25921} &:= (-2+5)!!\times C(9,2)+1\\
\mathbf{25922} &:= (-2+5)!!\times C(9,2)+2\\
\mathbf{25923} &:= (-2+5)!!\times C(9,2)+3\\
\mathbf{25924} &:= (-2+5)!!\times C(9,2)+4\\
\mathbf{25925} &:= (-2+5)!!\times C(9,2)+5\\
\mathbf{25926} &:= (-2+5)!!\times C(9,2)+6\\
\mathbf{25927} &:= (-2+5)!!\times C(9,2)+7\\
\mathbf{25928} &:= (-2+5)!!\times C(9,2)+8\\
\mathbf{25929} &:= (-2+5)!!\times C(9,2)+9.
\end{aligned}$$

$$\begin{aligned}
\mathbf{98280} &:= 0+C(C(8,2),8-\sqrt{9})\\
\mathbf{98281} &:= 1+C(C(8,2),8-\sqrt{9})\\
\mathbf{98282} &:= 2+C(C(8,2),8-\sqrt{9})\\
\mathbf{98283} &:= 3+C(C(8,2),8-\sqrt{9})\\
\mathbf{98284} &:= 4+C(C(8,2),8-\sqrt{9})\\
\mathbf{98285} &:= 5+C(C(8,2),8-\sqrt{9})\\
\mathbf{98286} &:= 6+C(C(8,2),8-\sqrt{9})\\
\mathbf{98287} &:= 7+C(C(8,2),8-\sqrt{9})\\
\mathbf{98288} &:= 8+C(C(8,2),8-\sqrt{9})\\
\mathbf{98289} &:= 9+C(C(8,2),8-\sqrt{9}).
\end{aligned}$$

For more details refer author's work [18].

4.9 S-gonal numbers

The formula for **S-gonal numbers** is given by

$$\boldsymbol{P(n,s)} := \frac{n(n-1)(s-2)}{2}+n,\ \ s>2.$$

Cubic-Type Selfie Numbers, **Zenodo**, March 08, 2019, pp. 1-150,
http://doi.org/10.5281/zenodo.2591257

This subsection brings some examples of selfie numbrs using **S-gonal numbers**. These examples are in **digit's order** and in **reverse order of digits**:

$$\begin{aligned}
\mathbf{4992} &:= P(4!, 9+9+2)\\
\mathbf{7744} &:= (P(7,7)-4!)^{\sqrt{4}}\\
\mathbf{7896} &:= 7\times P(8\times\sqrt{9},6)\\
\mathbf{65485} &:= -P(6,5)+\sqrt{4}\times 8^5\\
\mathbf{65943} &:= P(6,5)\times((\sqrt{9})!^4-3)\\
\mathbf{67977} &:= (6+7)\times(P(9,7)+7!)\\
\mathbf{72495} &:= -P(7+2,4)+9!/5\\
\mathbf{83544} &:= \sqrt{P(8,3)}\times(5!-\sqrt{4})^{\sqrt{4}}.
\end{aligned}$$

$$\begin{aligned}
\mathbf{8967} &:= 7\times P(P(6,\sqrt{9}),8)\\
\mathbf{9504} &:= 4!\times P(\sqrt{0!+5!},9)\\
\mathbf{9744} &:= 4!\times P(4\times 7,\sqrt{9})\\
\mathbf{49281} &:= 1\times 8!+P(29,4!)\\
\mathbf{49548} &:= -8!-P(4!,5)+9!/4\\
\mathbf{50424} &:= 4!\times P(-2+4!,\sqrt{0!+5!})\\
\mathbf{52895} &:= (5+P(9,8))^2-5\\
\mathbf{53995} &:= (5!-P(9,\sqrt{9}))\times 3!!-5.
\end{aligned}$$

The consecutive sequential examples are given by

$$\begin{aligned}
\mathbf{86640} &:= P(8,6)\times(6!+\sqrt{4})+0\\
\mathbf{86641} &:= P(8,6)\times(6!+\sqrt{4})+1\\
\mathbf{86642} &:= P(8,6)\times(6!+\sqrt{4})+2\\
\mathbf{86643} &:= P(8,6)\times(6!+\sqrt{4})+3\\
\mathbf{86644} &:= P(8,6)\times(6!+\sqrt{4})+4\\
\mathbf{86645} &:= P(8,6)\times(6!+\sqrt{4})+5\\
\mathbf{86646} &:= P(8,6)\times(6!+\sqrt{4})+6\\
\mathbf{86647} &:= P(8,6)\times(6!+\sqrt{4})+7\\
\mathbf{86648} &:= P(8,6)\times(6!+\sqrt{4})+8\\
\mathbf{86649} &:= P(8,6)\times(6!+\sqrt{4})+9.
\end{aligned}$$

$$\begin{aligned}
\mathbf{5640} &:= 0+P(4!,6)\times 5\\
\mathbf{5641} &:= 1+P(4!,6)\times 5\\
\mathbf{5642} &:= 2+P(4!,6)\times 5\\
\mathbf{5643} &:= 3+P(4!,6)\times 5\\
\mathbf{5644} &:= 4+P(4!,6)\times 5\\
\mathbf{5645} &:= 5+P(4!,6)\times 5\\
\mathbf{5646} &:= 6+P(4!,6)\times 5\\
\mathbf{5647} &:= 7+P(4!,6)\times 5\\
\mathbf{5648} &:= 8+P(4!,6)\times 5\\
\mathbf{5649} &:= 9+P(4!,6)\times 5.
\end{aligned}$$

For more details refer author's work [12].

4.10 Centered Polygonal Numbers

The formula for **centered polygonal numbers** is given by

$$\boldsymbol{K(n,t)} := \frac{t\,n(n-1)}{2}+1,\quad t>2.$$

Below are some examples of selfie numbers with **centered polygonal numbers**. These are in **digit's order** and in**reverse order of digits**:

Cubic-Type Selfie Numbers, **Zenodo**, March 08, 2019, pp. 1-150,
http://doi.org/10.5281/zenodo.2591257

$$\begin{aligned}
\mathbf{2883} &:= K(2\times 8,8)\times 3\\
\mathbf{2888} &:= K(2+8,8)\times 8\\
\mathbf{3640} &:= K(3!,6)\times 40\\
\mathbf{14939} &:= -1+(K(4!,(\sqrt{9})!)+3)\times 9\\
\mathbf{14959} &:= (-1+K(4!,(\sqrt{9})!)+5)\times 9\\
\mathbf{15144} &:= K(15,(-1+4)!)\times 4!\\
\mathbf{15347} &:= (-1+5)!\times 3!!-K(4!,7)\\
\mathbf{15399} &:= K(1\times 5!/3!,9)\times 9\\
\mathbf{00938} &:= K(\sqrt{K(8,3!)},(\sqrt{9})!)\times(0!+0!)\\
\mathbf{01051} &:= K(15,010)\\
\mathbf{01199} &:= K(9,\sqrt{9})\times(1+10)\\
\mathbf{59938} &:= K(8,3!)+(\sqrt{9})!!+9^5\\
\mathbf{62424} &:= 4!\times K(2+4!,2+6)\\
\mathbf{63384} &:= 4!+(K(8,3)+3)\times 6!\\
\mathbf{63744} &:= 4!\times(K(4!,7)+3+6!)\\
\mathbf{63973} &:= K(3!+7,9)\times K(3!,6).
\end{aligned}$$

The consecutive sequential examples are given by

$$\begin{aligned}
\mathbf{99360} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+0=0+6!\times K(3!,\sqrt{9})\times\sqrt{9}\\
\mathbf{99361} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+1=1+6!\times K(3!,\sqrt{9})\times\sqrt{9}\\
\mathbf{99362} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+2=2+6!\times K(3!,\sqrt{9})\times\sqrt{9}\\
\mathbf{99363} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+3=3+6!\times K(3!,\sqrt{9})\times\sqrt{9}\\
\mathbf{99364} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+4=4+6!\times K(3!,\sqrt{9})\times\sqrt{9}\\
\mathbf{99365} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+5=5+6!\times K(3!,\sqrt{9})\times\sqrt{9}\\
\mathbf{99366} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+6=6+6!\times K(3!,\sqrt{9})\times\sqrt{9}\\
\mathbf{99367} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+7=7+6!\times K(3!,\sqrt{9})\times\sqrt{9}\\
\mathbf{99368} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+8=8+6!\times K(3!,\sqrt{9})\times\sqrt{9}\\
\mathbf{99369} &:= K((\sqrt{9})!,\sqrt{9})\times 3\times 6!+9=9+6!\times K(3!,\sqrt{9})\times\sqrt{9}.
\end{aligned}$$

For more details refer author's work [12].

4.11 Quadratic-Type Selfies

The formula for **quadratic numbers** is given by

$$\boldsymbol{Q(n)} := n^2,\ n>0, n\in \boldsymbol{N}.$$

Below are some examples of selfie numbers with **quadratic-type selfie numbers**. These are in **digit's order** and in**reverse order of digits**:

Cubic-Type Selfie Numbers, **Zenodo**, March 08, 2019, pp. 1-150,
http://doi.org/10.5281/zenodo.2591257

$$\begin{aligned}
\mathbf{48} &:= -Q(4) + Q(8) \\
\mathbf{81} &:= Q(8+1) \\
\mathbf{128} &:= 1 \times 2 \times Q(8) \\
\mathbf{292} &:= Q(Q(Q(2))) + 9 \times Q(2) \\
\mathbf{322} &:= Q(Q(3) \times 2) - 2 \\
\mathbf{1036} &:= 10^3 + Q(6) \\
\mathbf{1125} &:= Q(11 + Q(2)) \times 5 \\
\mathbf{1729} &:= 1 \times 7 \times (Q(Q(Q(2))) - 9) \\
\mathbf{9843} &:= ((Q((-(9) + Q(8))) + Q(Q(4))) \times 3) \\
\mathbf{10025} &:= ((100^2) + Q(5)) \\
\mathbf{10384} &:= ((-(1) - ((0 - Q(Q(3))) \times (-8))) \times (-Q(4))) \\
\mathbf{99378} &:= (9 \times ((Q(93) + Q(Q(7))) - 8))
\end{aligned}$$

$$\begin{aligned}
\mathbf{49} &:= Q((-(9) + Q(4))) \\
\mathbf{89} &:= Q(9) + 8 \\
\mathbf{224} &:= ((Q(4) - 2) \times Q(Q(2))) \\
\mathbf{275} &:= Q(5) \times (7 + Q(2)) \\
\mathbf{736} &:= (Q((Q(6) - Q(3))) + (7)) \\
\mathbf{0107} &:= 7 + Q(010) \\
\mathbf{0231} &:= -((Q(13) - Q(20))) \\
\mathbf{1257} &:= 7 + Q(Q(5)) \times 2 \times 1 \\
\mathbf{2239} &:= ((-(Q(9)) + Q((3 \times Q(Q(2))))) + (Q(Q(2)))) \\
\mathbf{08136} &:= (Q(6) + Q((Q(3) + ((1 + 80))))) \\
\mathbf{15323} &:= (Q(Q(Q(3))) + ((Q(Q(Q(2))) + (Q(Q(3)))) \times (Q(5) + 1))) \\
\mathbf{37293} &:= (-(3) + (((Q(Q(9)) - Q(Q(2))) - Q(Q(7))) \times Q(3)))
\end{aligned}$$

First column values are in **digit's order** and the second column values are in **reverse order of digits**. In consecutive sequential values we have:

$$\begin{aligned}
\mathbf{12680} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 0 = 0 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1)) \\
\mathbf{12681} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 1 = 1 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1)) \\
\mathbf{12682} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 2 = 2 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1)) \\
\mathbf{12683} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 3 = 3 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1)) \\
\mathbf{12684} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 4 = 4 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1)) \\
\mathbf{12685} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 5 = 5 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1)) \\
\mathbf{12686} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 6 = 6 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1)) \\
\mathbf{12687} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 7 = 7 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1)) \\
\mathbf{12688} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 8 = 8 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1)) \\
\mathbf{12689} &:= (Q(1 + Q(Q(2))) + Q(Q(6))) \times 8 + 9 = 9 + 8 \times (Q(Q(6)) + Q(Q(Q(2)) + 1))
\end{aligned}$$

For more details refer author's work [21].

Acknowledgement

The author is thankful to T.J. Eckman, Georgia, USA (email: jeek@jeek.net) in programming the scripts to develop these papers.

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