Fibonacci Sequence and Selfie Numbers, **Zenodo**, Feb. 19, 2019, pp. 1-233,
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Fibonacci Sequence and Selfie Numbers[1]

Inder J. Taneja[2]

Abstract

*Numbers represented by their own digits by certain operations are considered as **Selfie Numbers**. There are many ways of representing **Selfie Numbers**, such as, numbers written in digit's order or its reverse. It can also be represented in increasing and/or decreasing order of digits. This is generally obtained by use of **basis operations** along with **factorial**, **square-root**, **Triangular numbers**, **Fibonacci sequence**, etc. In this work we have written **Selfie Numbers** using **Fibonacci sequence** values in **digit's order** and **reverse order of digits**. In some situations, the results are up to 4, 5 or 6 digits numbers. Results by use of **factorial** are also calculated.*

Contents

[1] *This work is combined and revised version of author's previous three works: http://rgmia.org/papers/v19/v19a142.pdf, http://rgmia.org/papers/v19/v19a143.pdf and http://rgmia.org/papers/v19/v19a156.pdf given respectively in [17], [18] and [19] done in 2016.*

[2] *Formerly, Professor of Mathematics, Federal University of Santa Catarina, Florianópolis, SC, Brazil (1978-2012). Also worked at Delhi University, India (1976-1978).*
***E-mail:** ijtaneja@gmail.com; **Web-site:** https://inderjtaneja.com;*
***Twitter:** @IJTANEJA; **Instagram:** @crazynumbers.*

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1 Introduction

This introductory sections deals with the explanations of two principal ideas. One is on *selfie numbers* and another on obtaining selfie numbers by use of *Fibonacci sequence* values.

1.1 Selfie Numbers

Numbers represented by their own digits by use of certain operations are considered as *"Selfie Number"*. These numbers are divided in two categories. These two categories are again divided in two each, i.e., one in order of digits appearing in the numbers and their reverse, and the second is in increasing and decreasing order of digits. See below examples in each category:

- **Digit's Order**

$$\begin{aligned}
\mathbf{936} &:= (\sqrt{9})!^3 + 6! \\
\mathbf{1296} &:= \sqrt{(1+2)!^9/6} \\
\mathbf{2896} &:= 2 \times (8 + (\sqrt{9})!! + 6!) \\
\mathbf{12969} &:= 1 \times 2 \times 9 \times 6! + 9
\end{aligned}$$

- **Reverse Order of Digits**

$$\begin{aligned}
\mathbf{936} &:= 6! + (3!)^{\sqrt{9}} \\
\mathbf{1296} &:= 6^{(\sqrt{9}+2-1)} \\
\mathbf{2896} &:= (6! + (\sqrt{9})!! + 8) \times 2 \\
\mathbf{20167} &:= 7 + (6 + 1 + 0!)!/2
\end{aligned}$$

- **Increasing Order of Digits**

$$\begin{aligned}
\mathbf{936} &:= 3!! + 6^{\sqrt{9})} \\
\mathbf{1296} &:= (1+2)! \times 6^{\sqrt{9}} \\
\mathbf{8397} &:= -3 - 7! + 8!/\sqrt{9} \\
\mathbf{241965} &:= (1 + (2 \times 4)! + 5) \times 6 + 9
\end{aligned}$$

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- **Decreasing Order of Digits**

$$\begin{aligned}
\mathbf{936} &:= (\sqrt{9})!! + 6^3 \\
\mathbf{1296} &:= ((\sqrt{9})! \times 6)^2 \times 1 \\
\mathbf{20148} &:= (8! - 4)/2 - 10 \\
\mathbf{435609} &:= 9 + (6! - 5!/\sqrt{4})^{(3-0!)}
\end{aligned}$$

We observe that in some case, the same number can be represented in more than one or in all the four ways. For more details on **selfie numbers** refer to author's work [8, 9, 10], [12]-[16]. Also refer [2, 3, 6, 7] for more studies. Few basic examples connecting Fibonacci sequence values can be seen in [1].

Above we have given examples of **selfie numbers** in four different ways. This has been done using the basic operations along with **factorial** and **square-root**. In this work we shall do only two ways, i.e., in digit's order and reverse order of digits.

1.2 Fibonacci Sequence

Fibonacci sequence numbers are well known in literature [4, 5]. This sequence is defined as

$$F(0) = 0, \quad F(1) = 1, \quad F(n+1) = F(n) + F(n-1), \quad n \geq 1.$$

Initial values of Fibonacci sequence are given by

$\mathbf{F(1)} :=$
$\mathbf{F(2)} :=$
$\mathbf{F(3)} := 2$
$\mathbf{F(4)} := 3$
$\mathbf{F(5)} := 5$
$\mathbf{F(6)} := 8$
$\mathbf{F(7)} := 13$
$\mathbf{F(8)} := 21$
$\mathbf{F(9)} := 34$
$\mathbf{F(10)} := 55$
$\mathbf{F(11)} := 89$
$\mathbf{F(12)} := 144$
$\mathbf{F(13)} := 233$
$\mathbf{F(14)} := 377$
$\mathbf{F(15)} := 610$
$\mathbf{F(16)} := 987$
$\mathbf{F(17)} := 1597$
$\mathbf{F(18)} := 2584$
$\mathbf{F(19)} := 4181$
$\mathbf{F(20)} := 6765$
$\mathbf{F(21)} := 10946$
$\mathbf{F(22)} := 17711$
$\mathbf{F(23)} := 28657$
$\mathbf{F(24)} := 46368$
$\mathbf{F(25)} := 75025$, etc,

Interestingly, natural numbers can be written in terms of **Fibonacci sequence** values. Below are examples:

$\mathbf{0} := F(0)$
$\mathbf{1} := F(1) = F(2)$
$\mathbf{2} := F(3)$
$\mathbf{3} := F(4)$
$\mathbf{4} := F(2) + F(4)$
$\mathbf{5} := F(5)$
$\mathbf{6} := F(2) + F(5)$
$\mathbf{7} := F(3) + F(5)$
$\mathbf{8} := F(6)$
$\mathbf{9} := F(2) + F(6)$
$\mathbf{10} := F(3) + F(6)$
$\mathbf{11} := F(4) + F(6)$
$\mathbf{12} := F(2) + F(4) + F(6)$
$\mathbf{13} := F(7)$
$\mathbf{14} := F(2) + F(7)$
$\mathbf{15} := F(3) + F(7)$
$\mathbf{16} := F(4) + F(7)$
$\mathbf{17} := F(2) + F(4) + F(7)$
$\mathbf{18} := F(5) + F(7)$
$\mathbf{19} := F(2) + F(5) + F(7)$
$\mathbf{20} := F(3) + F(5) + F(7)$
$\mathbf{21} := F(8)$
$\mathbf{22} := F(2) + F(8)$
$\mathbf{23} := F(3) + F(8)$ etc,

Based on values of $F(.)$, we can write composition values, such as, $F(F(1))$, $F(F(2))$, etc. See examples below:

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$$\mathbf{F(F(0))} := 0$$
$$\mathbf{F(F(1))} := 1$$
$$\mathbf{F(F(2))} := 1$$
$$\mathbf{F(F(3))} := 1$$
$$\mathbf{F(F(4))} := 2$$
$$\mathbf{F(F(5))} := 5$$
$$\mathbf{F(F(6))} := 21$$
$$\mathbf{F(F(7))} := 233$$
$$\mathbf{F(F(8))} := 10946$$
$$\mathbf{F(F(9))} := 5702887$$
$$\mathbf{F(F(10))} := 139583862445$$
$$\mathbf{F(F(11))} := 1779979416004714189$$
$$\mathbf{F(F(12))} := 5555654042242926944040157918 08$$
$$\mathbf{F(F(13))} := 221123640630391454569941296974487399338795 6988653, \text{etc.}$$

The aim of this work is to write **selfie numbers** by using **Fibonacci sequence** values. In some cases **factorial** is also used. This work is combined and revised version of author's previous three works [17, 18, 19].

2 Palindromic Number Representations

This section brings **selfie palindromic numbers** by use of Fibonacci sequence values. The idea of starting the work with palindromic numbers is as they are symmetric in itself, i.e., remains the same by changing the order of digits. Below are **selfie palindromic numbers**:

2.1 Basic Operations

$$\mathbf{55} := F(5+5)$$
$$\mathbf{474} := (4+F(F(7)))\times F(F(4))$$
$$\mathbf{484} := (F(F(F(4)))+F(8))^{F(F(4))}$$
$$\mathbf{2772} := (-2+F(F(7)))\times(F(7)-F(2))$$
$$\mathbf{3773} := (-F(3)+F(7))\times 7^3$$
$$\mathbf{13531} := F((1+3)\times 5)\times F(3)+1$$
$$\mathbf{14641} := 1+(F(4)+F(6))^4-1$$
$$\mathbf{15251} := F(15)\times 25+1$$
$$\mathbf{21961} := 2\times 1\times(F(9)+F(F(F(6))))+1$$
$$\mathbf{23732} := (-F(2)+3\times F(F(7)))\times F(3^2)$$
$$\mathbf{28882} := F(2+F(8))-8+F(F(8-F(2)))$$
$$\mathbf{32823} := (-3-2+F(F(8)))\times(F(2)+F(3))$$
$$\mathbf{39393} := 3^9\times F(3)+9\times 3$$
$$\mathbf{44944} := ((4+49)\times 4)^{F(F(4))}$$
$$\mathbf{46264} := F(4\times 6)-26\times 4$$
$$\mathbf{46364} := F(4\times 6)-F(3)-6+4$$
$$\mathbf{46464} := F(4\times 6)+4\times 6\times 4$$
$$\mathbf{46664} := 4+6^6+F(6)-4$$
$$\mathbf{46764} := 4\times(F(F(F(6)))+F(F(7))+F(6)^{F(4)})$$
$$\mathbf{47374} := (F(F(F(4))\times 7)^{F(3)}-7)/F(4)$$
$$\mathbf{47574} := F(4)\times(F(F(7))+5^{7-F(F(F(4)))})$$
$$\mathbf{48384} := (F(4)\times 8)^{F(3)}\times 84$$
$$\mathbf{48384} := (F(4)\times 8)^{F(3)}\times 84$$
$$\mathbf{49994} := F(F(4))\times(-F(9)+F(F(9)-9))/F(4)$$
$$\mathbf{54645} := (F(F(5+F(4)))-F(F(6))+4)\times 5$$
$$\mathbf{54745} := 5\times F(F(4)\times 7)+F(4)\times 5$$
$$\mathbf{54845} := (5^{F(F(4))}+F(F(8))-F(F(4)))\times 5$$
$$\mathbf{62426} := (F(6)-F(2))^4\times 26$$
$$\mathbf{63936} := 6^3\times(F(9)+3)\times F(6)$$
$$\mathbf{65556} := (F(F(F(6)))-5\times 5+5)\times 6$$

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$66666 := (F(F(F(6))) + F(6+6) + F(F(6))) \times 6$
$67176 := (F(F(F(6))) + F(F(7)) + 17) \times 6$
$68286 := (-6 + F(8)^2 + F(F(8))) \times 6$
$69696 := (F(6) \times F(9) - F(6))^{F(9-6)}$
$73793 := (7 + F(3)^{F(7)}) \times 9 + F(3)$
$75257 := F(F(7)) + F(5^2) - F(-5+7)$
$75457 := 7 \times F(F(5 + F(4))) - 5 \times F(F(7))$
$75957 := (F(F(F(7) - 5)) - 95) \times 7$
$76167 := (-F(7) \times (6-1) + F(F(F(6)))) \times 7$
$76367 := 7 \times F(F(F(6))) - F(F(3)) - F(F(6)) - F(F(7))$
$76467 := F(7) + (F(F(F(6))) - 4 \times 6) \times 7$
$76567 := 7 \times F(F(F(6))) - F(-5 + F(6) + 7)$
$76667 := 7 \times (F(F(F(6))) + 6) + F(F(6))/7$
$76867 := (-7 + F(F(6)) + F(F(8)) + F(F(6))) \times 7$
$78487 := 7 \times F(F(8)) + F(F(F(4))) + 8 \times F(F(7))$
$78987 := (F(F(7)) + 8 + 98) \times F(F(7))$
$84284 := F(F(8) + 4) - 2 + F(8)^{F(4)}$
$86368 := (F(F(8)) - 6 - F(F(3) \times 6)) \times 8$
$86968 := (F(F(8)) - 69 - 6) \times 8$
$87878 := (F(F(8)) + 7) \times 8 + F(F(7)) + F(8)$
$88288 := (F(F(8)) + 82 + 8) \times 8$
$88788 := 8 \times F(F(8)) + F(F(7)) + F(8+8)$
$98289 := (-F(9) + F(F(8)) + F(2) + 8) \times 9$
$98389 := -98 + (-3 + F(F(8))) \times 9$
$98489 := -F(9) + (F(8/4) + F(F(8))) \times 9$
$98589 := 9 + F(8) + (5 + F(F(8))) \times 9$
$98789 := 9 \times F(F(8)) + F(F(7)) + 8 + F(9)$
$747747 := (-7 + F(4)^7) \times 7^{F(4)} + 7$
$777777 := F(7) \times 77 \times 777$
$999999 := (9 + F(9)) \times 9 \times F(9+9) - 9$

2.2 With Factorial

$232 := -F(2) + F(F(3! + F(2)))$
$363 := (3! + 6!)/F(3)$
$383 := 3! + F(8 + 3!)$
$444 := F(F(F(4)!))^{F(F(4))} + F(4)$
$464 := -F(F(4))^{F(6)} + F(4)!!$
$707 := (7 - 0!)! - F(7)$
$727 := (7 - F(2))! + 9 = 9 + (-F(2) + 7)!$
$1441 := (-1 + F(4)) \times (F(4))!! + 1$
$3333 := 3! \times 3!! - F(F(3) \times F(3!))$
$3443 := (3+4)! - F(-4 + F(F(3!)))$
$3663 := 3! \times F(F(F(6)) - 6) + 3 =$
$4224 := F(F(4)!) \times 22 \times 4!$
$4334 := (F(F(4)) + 3!!) \times 3! + F(F(4))$
$4444 := (F(F(F(4)!)) + F(4)!!) \times F(4)! - F(F(4))$
$4884 := F(-F(4)! + (F(8))) \times 8 + 4$
$5445 := (5! + F(F(F(4)))) \times 45$
$6336 := 6^{3!} - (F(3) + 6)!$
$6776 := F(6) \times (7 + 7!/6)$
$7227 := 7! + F(2+2)^7$
$7447 := 7^4 + F(4)! + 7!$
$14341 := (-1 + F(F(F(4)!))) \times (3!! - F(4)) + 1$
$14441 := (1+4)!^{F(F(4))} + 41$
$18481 := 1 + 8!/F(4) + (8-1)!$
$23332 := 2 + 3!^{3!}/F(3) + 2$
$26462 := (F(2) + 6)!/4 \times F(F(6)) + 2$
$33633 := -F(3!)!/3! + F(6)! + 33$
$36663 := F(3!)! - 6 \times F(F(F(6)) - 6) + 3$
$36963 := 3 + F(6)!/(9 - F(F(6))) + F(3!)!$
$39693 := -(-3+9)! + F(6)! + 93$
$40204 := 4 + F((0! + 2)!)! - (0! + 4)!$
$44644 := 4 + F(4!) - (F(6) + 4)^{F(4)}$
$44944 := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 4$
$46464 := 4! + F(6) + F(4!) + 64$
$46564 := (4 + 6!) \times 5! - F(6)! + 4$
$46764 := 4 + F(6)! \times 7/6! + F(4!)$
$47674 := 4 + (F(F(7)) - 6) \times 7!/4!$
$52925 := 5 + F(-F(2) + 9)^2 \times 5!$
$53535 := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 5$
$54845 := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 5$
$54945 := 5 \times (F(F(F(F(4)!))) + F(9)) + 45$
$55455 := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 5$
$64446 := 6 + F(4)!!/F(F(4)!) \times (-4 + 6!)$

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$66366 := 6! + 6 \times (-3! + F(F(F(6)))) + 6$
$66966 := 6! \times (F(6) \times 9 + F(F(6))) + 6$
$75657 := 7! \times 5!/F(6) + 57$

$93339 := (9 + 3!^{3!}) \times F(3) + 9$

3 Symmetric Representations

In this section, we shall give *selfie numbers* in terms of Fibonacci sequence values along with basic operations. These representations are in symmetric way, i.e., all is same except the digits o to 9. This happens in both ways, i.e., in digit's order and in revere order of digits. In some cases numbers can written in both the ways. The following subsections give the symmetric numbers three situations. In this section, we have worked up to width 6, i.e., numbers having maximum 6 digits.

3.1 Symmetric Representations in Both Ways

Below are examples of numbers written in digit's order and its reverse:

3.1.1 Basic Operations

$$\begin{aligned}
5490 &:= F(5 \times F(4)) \times 9 + 0 = 0 + 9 \times F(F(4) \times 5) \\
5491 &:= F(5 \times F(4)) \times 9 + 1 = 1 + 9 \times F(F(4) \times 5) \\
5492 &:= F(5 \times F(4)) \times 9 + 2 = 2 + 9 \times F(F(4) \times 5) \\
5493 &:= F(5 \times F(4)) \times 9 + 3 = 3 + 9 \times F(F(4) \times 5) \\
5494 &:= F(5 \times F(4)) \times 9 + 4 = 4 + 9 \times F(F(4) \times 5) \\
5495 &:= F(5 \times F(4)) \times 9 + 5 = 5 + 9 \times F(F(4) \times 5) \\
5496 &:= F(5 \times F(4)) \times 9 + 6 = 6 + 9 \times F(F(4) \times 5) \\
5497 &:= F(5 \times F(4)) \times 9 + 7 = 7 + 9 \times F(F(4) \times 5) \\
5498 &:= F(5 \times F(4)) \times 9 + 8 = 8 + 9 \times F(F(4) \times 5) \\
5499 &:= F(5 \times F(4)) \times 9 + 9 = 9 + 9 \times F(F(4) \times 5)
\end{aligned}$$

$$\begin{aligned}
10980 &:= 1 \times F(09) + F(F(8)) + 0 = 0 + F(F(8)) + F(9 \times 01) \\
10981 &:= 1 \times F(09) + F(F(8)) + 1 = 1 + F(F(8)) + F(9 \times 01) \\
10982 &:= 1 \times F(09) + F(F(8)) + 2 = 2 + F(F(8)) + F(9 \times 01) \\
10983 &:= 1 \times F(09) + F(F(8)) + 3 = 3 + F(F(8)) + F(9 \times 01) \\
10984 &:= 1 \times F(09) + F(F(8)) + 4 = 4 + F(F(8)) + F(9 \times 01) \\
10985 &:= 1 \times F(09) + F(F(8)) + 5 = 5 + F(F(8)) + F(9 \times 01) \\
10986 &:= 1 \times F(09) + F(F(8)) + 6 = 6 + F(F(8)) + F(9 \times 01) \\
10987 &:= 1 \times F(09) + F(F(8)) + 7 = 7 + F(F(8)) + F(9 \times 01) \\
10988 &:= 1 \times F(09) + F(F(8)) + 8 = 8 + F(F(8)) + F(9 \times 01) \\
10989 &:= 1 \times F(09) + F(F(8)) + 9 = 9 + F(F(8)) + F(9 \times 01)
\end{aligned}$$

$$\begin{aligned}
13530 &:= F((1+3) \times 5) \times F(3) + 0 = 0 + F(3) \times F(5 \times (3+1)) \\
13531 &:= F((1+3) \times 5) \times F(3) + 1 = 1 + F(3) \times F(5 \times (3+1))
\end{aligned}$$

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$$\mathbf{13532} := F((1+3)\times 5)\times F(3)+2 = 2+F(3)\times F(5\times(3+1))$$
$$\mathbf{13533} := F((1+3)\times 5)\times F(3)+3 = 3+F(3)\times F(5\times(3+1))$$
$$\mathbf{13534} := F((1+3)\times 5)\times F(3)+4 = 4+F(3)\times F(5\times(3+1))$$
$$\mathbf{13535} := F((1+3)\times 5)\times F(3)+5 = 5+F(3)\times F(5\times(3+1))$$
$$\mathbf{13536} := F((1+3)\times 5)\times F(3)+6 = 6+F(3)\times F(5\times(3+1))$$
$$\mathbf{13537} := F((1+3)\times 5)\times F(3)+7 = 7+F(3)\times F(5\times(3+1))$$
$$\mathbf{13538} := F((1+3)\times 5)\times F(3)+8 = 8+F(3)\times F(5\times(3+1))$$
$$\mathbf{13539} := F((1+3)\times 5)\times F(3)+9 = 9+F(3)\times F(5\times(3+1))$$

$$\mathbf{14640} := 0+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+0$$
$$\mathbf{14641} := 1+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+1$$
$$\mathbf{14642} := 2+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+2$$
$$\mathbf{14643} := 3+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+3$$
$$\mathbf{14644} := 4+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+4$$
$$\mathbf{14645} := 5+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+5$$
$$\mathbf{14646} := 6+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+6$$
$$\mathbf{14647} := 7+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+7$$
$$\mathbf{14648} := 8+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+8$$
$$\mathbf{14649} := 9+(F(4)+F(6))^4-1 = -1+(F(4)+F(6))^4+9$$

$$\mathbf{21960} := 2\times 1\times(F(9)+F(F(F(6))))+0 = 0+(F(F(F(6)))+F(9))\times 1\times 2$$
$$\mathbf{21961} := 2\times 1\times(F(9)+F(F(F(6))))+1 = 1+(F(F(F(6)))+F(9))\times 1\times 2$$
$$\mathbf{21962} := 2\times 1\times(F(9)+F(F(F(6))))+2 = 2+(F(F(F(6)))+F(9))\times 1\times 2$$
$$\mathbf{21963} := 2\times 1\times(F(9)+F(F(F(6))))+3 = 3+(F(F(F(6)))+F(9))\times 1\times 2$$
$$\mathbf{21964} := 2\times 1\times(F(9)+F(F(F(6))))+4 = 4+(F(F(F(6)))+F(9))\times 1\times 2$$
$$\mathbf{21965} := 2\times 1\times(F(9)+F(F(F(6))))+5 = 5+(F(F(F(6)))+F(9))\times 1\times 2$$
$$\mathbf{21966} := 2\times 1\times(F(9)+F(F(F(6))))+6 = 6+(F(F(F(6)))+F(9))\times 1\times 2$$
$$\mathbf{21967} := 2\times 1\times(F(9)+F(F(F(6))))+7 = 7+(F(F(F(6)))+F(9))\times 1\times 2$$
$$\mathbf{21968} := 2\times 1\times(F(9)+F(F(F(6))))+8 = 8+(F(F(F(6)))+F(9))\times 1\times 2$$
$$\mathbf{21969} := 2\times 1\times(F(9)+F(F(F(6))))+9 = 9+(F(F(F(6)))+F(9))\times 1\times 2$$

$$\mathbf{25840} := 2\times 5\times F(F(8)-F(4))+0 = 0+F(-F(4)+F(8))\times 5\times 2$$
$$\mathbf{25841} := 2\times 5\times F(F(8)-F(4))+1 = 1+F(-F(4)+F(8))\times 5\times 2$$
$$\mathbf{25842} := 2\times 5\times F(F(8)-F(4))+2 = 2+F(-F(4)+F(8))\times 5\times 2$$
$$\mathbf{25843} := 2\times 5\times F(F(8)-F(4))+3 = 3+F(-F(4)+F(8))\times 5\times 2$$
$$\mathbf{25844} := 2\times 5\times F(F(8)-F(4))+4 = 4+F(-F(4)+F(8))\times 5\times 2$$
$$\mathbf{25845} := 2\times 5\times F(F(8)-F(4))+5 = 5+F(-F(4)+F(8))\times 5\times 2$$
$$\mathbf{25846} := 2\times 5\times F(F(8)-F(4))+6 = 6+F(-F(4)+F(8))\times 5\times 2$$
$$\mathbf{25847} := 2\times 5\times F(F(8)-F(4))+7 = 7+F(-F(4)+F(8))\times 5\times 2$$

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$$\mathbf{25848} := 2\times 5\times F(F(8)-F(4))+8 \;=\; 8+F(-F(4)+F(8))\times 5\times 2$$
$$\mathbf{25849} := 2\times 5\times F(F(8)-F(4))+9 \;=\; 9+F(-F(4)+F(8))\times 5\times 2$$

$$\mathbf{28670} := F(2+F(8))+6+7+0 \;=\; 0+7+6+F(F(8)+2)$$
$$\mathbf{28671} := F(2+F(8))+6+7+1 \;=\; 1+7+6+F(F(8)+2)$$
$$\mathbf{28672} := F(2+F(8))+6+7+2 \;=\; 2+7+6+F(F(8)+2)$$
$$\mathbf{28673} := F(2+F(8))+6+7+3 \;=\; 3+7+6+F(F(8)+2)$$
$$\mathbf{28674} := F(2+F(8))+6+7+4 \;=\; 4+7+6+F(F(8)+2)$$
$$\mathbf{28675} := F(2+F(8))+6+7+5 \;=\; 5+7+6+F(F(8)+2)$$
$$\mathbf{28676} := F(2+F(8))+6+7+6 \;=\; 6+7+6+F(F(8)+2)$$
$$\mathbf{28677} := F(2+F(8))+6+7+7 \;=\; 7+7+6+F(F(8)+2)$$
$$\mathbf{28678} := F(2+F(8))+6+7+8 \;=\; 8+7+6+F(F(8)+2)$$
$$\mathbf{28679} := F(2+F(8))+6+7+9 \;=\; 9+7+6+F(F(8)+2)$$

$$\mathbf{28890} := F(2+F(8))+F(-F(8)+F(9))+0 \;=\; 0+F(F(9)-F(8))+F(F(8)+2)$$
$$\mathbf{28891} := F(2+F(8))+F(-F(8)+F(9))+1 \;=\; 1+F(F(9)-F(8))+F(F(8)+2)$$
$$\mathbf{28892} := F(2+F(8))+F(-F(8)+F(9))+2 \;=\; 2+F(F(9)-F(8))+F(F(8)+2)$$
$$\mathbf{28893} := F(2+F(8))+F(-F(8)+F(9))+3 \;=\; 3+F(F(9)-F(8))+F(F(8)+2)$$
$$\mathbf{28894} := F(2+F(8))+F(-F(8)+F(9))+4 \;=\; 4+F(F(9)-F(8))+F(F(8)+2)$$
$$\mathbf{28895} := F(2+F(8))+F(-F(8)+F(9))+5 \;=\; 5+F(F(9)-F(8))+F(F(8)+2)$$
$$\mathbf{28896} := F(2+F(8))+F(-F(8)+F(9))+6 \;=\; 6+F(F(9)-F(8))+F(F(8)+2)$$
$$\mathbf{28897} := F(2+F(8))+F(-F(8)+F(9))+7 \;=\; 7+F(F(9)-F(8))+F(F(8)+2)$$
$$\mathbf{28898} := F(2+F(8))+F(-F(8)+F(9))+8 \;=\; 8+F(F(9)-F(8))+F(F(8)+2)$$
$$\mathbf{28899} := F(2+F(8))+F(-F(8)+F(9))+9 \;=\; 9+F(F(9)-F(8))+F(F(8)+2)$$

$$\mathbf{32850} := 3\times(-F(2)+F(F(8))+5)+0 \;=\; 0+(5+F(F(8))-F(2))\times 3$$
$$\mathbf{32851} := 3\times(-F(2)+F(F(8))+5)+1 \;=\; 1+(5+F(F(8))-F(2))\times 3$$
$$\mathbf{32852} := 3\times(-F(2)+F(F(8))+5)+2 \;=\; 2+(5+F(F(8))-F(2))\times 3$$
$$\mathbf{32853} := 3\times(-F(2)+F(F(8))+5)+3 \;=\; 3+(5+F(F(8))-F(2))\times 3$$
$$\mathbf{32854} := 3\times(-F(2)+F(F(8))+5)+4 \;=\; 4+(5+F(F(8))-F(2))\times 3$$
$$\mathbf{32855} := 3\times(-F(2)+F(F(8))+5)+5 \;=\; 5+(5+F(F(8))-F(2))\times 3$$
$$\mathbf{32856} := 3\times(-F(2)+F(F(8))+5)+6 \;=\; 6+(5+F(F(8))-F(2))\times 3$$
$$\mathbf{32857} := 3\times(-F(2)+F(F(8))+5)+7 \;=\; 7+(5+F(F(8))-F(2))\times 3$$
$$\mathbf{32858} := 3\times(-F(2)+F(F(8))+5)+8 \;=\; 8+(5+F(F(8))-F(2))\times 3$$
$$\mathbf{32859} := 3\times(-F(2)+F(F(8))+5)+9 \;=\; 9+(5+F(F(8))-F(2))\times 3$$

$$\mathbf{32940} := (F(F(F(3\times 2)))+F(9))\times F(4)+0 \;=\; 0+F(4)\times(F(9)+F(F(2^3)))$$
$$\mathbf{32941} := (F(F(F(3\times 2)))+F(9))\times F(4)+1 \;=\; 1+F(4)\times(F(9)+F(F(2^3)))$$
$$\mathbf{32942} := (F(F(F(3\times 2)))+F(9))\times F(4)+2 \;=\; 2+F(4)\times(F(9)+F(F(2^3)))$$
$$\mathbf{32943} := (F(F(F(3\times 2)))+F(9))\times F(4)+3 \;=\; 3+F(4)\times(F(9)+F(F(2^3)))$$

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$$\mathbf{32944} := (F(F(F(3\times 2)))+F(9))\times F(4)+4 \;=\; 4+F(4)\times(F(9)+F(F(2^3)))$$
$$\mathbf{32945} := (F(F(F(3\times 2)))+F(9))\times F(4)+5 \;=\; 5+F(4)\times(F(9)+F(F(2^3)))$$
$$\mathbf{32946} := (F(F(F(3\times 2)))+F(9))\times F(4)+6 \;=\; 6+F(4)\times(F(9)+F(F(2^3)))$$
$$\mathbf{32947} := (F(F(F(3\times 2)))+F(9))\times F(4)+7 \;=\; 7+F(4)\times(F(9)+F(F(2^3)))$$
$$\mathbf{32948} := (F(F(F(3\times 2)))+F(9))\times F(4)+8 \;=\; 8+F(4)\times(F(9)+F(F(2^3)))$$
$$\mathbf{32949} := (F(F(F(3\times 2)))+F(9))\times F(4)+9 \;=\; 9+F(4)\times(F(9)+F(F(2^3)))$$

$$\mathbf{33490} := (-F(3)+F(F(3)^4))\times F(9)+0 \;=\; 0+F(9)\times(F(4^{F(3)})-F(3))$$
$$\mathbf{33491} := (-F(3)+F(F(3)^4))\times F(9)+1 \;=\; 1+F(9)\times(F(4^{F(3)})-F(3))$$
$$\mathbf{33492} := (-F(3)+F(F(3)^4))\times F(9)+2 \;=\; 2+F(9)\times(F(4^{F(3)})-F(3))$$
$$\mathbf{33493} := (-F(3)+F(F(3)^4))\times F(9)+3 \;=\; 3+F(9)\times(F(4^{F(3)})-F(3))$$
$$\mathbf{33494} := (-F(3)+F(F(3)^4))\times F(9)+4 \;=\; 4+F(9)\times(F(4^{F(3)})-F(3))$$
$$\mathbf{33495} := (-F(3)+F(F(3)^4))\times F(9)+5 \;=\; 5+F(9)\times(F(4^{F(3)})-F(3))$$
$$\mathbf{33496} := (-F(3)+F(F(3)^4))\times F(9)+6 \;=\; 6+F(9)\times(F(4^{F(3)})-F(3))$$
$$\mathbf{33497} := (-F(3)+F(F(3)^4))\times F(9)+7 \;=\; 7+F(9)\times(F(4^{F(3)})-F(3))$$
$$\mathbf{33498} := (-F(3)+F(F(3)^4))\times F(9)+8 \;=\; 8+F(9)\times(F(4^{F(3)})-F(3))$$
$$\mathbf{33499} := (-F(3)+F(F(3)^4))\times F(9)+9 \;=\; 9+F(9)\times(F(4^{F(3)})-F(3))$$

$$\mathbf{38760} := F(-3+F(8))\times(7+F(6))+0 \;=\; 0+(F(6)+7)\times F(F(8)-3)$$
$$\mathbf{38761} := F(-3+F(8))\times(7+F(6))+1 \;=\; 1+(F(6)+7)\times F(F(8)-3)$$
$$\mathbf{38762} := F(-3+F(8))\times(7+F(6))+2 \;=\; 2+(F(6)+7)\times F(F(8)-3)$$
$$\mathbf{38763} := F(-3+F(8))\times(7+F(6))+3 \;=\; 3+(F(6)+7)\times F(F(8)-3)$$
$$\mathbf{38764} := F(-3+F(8))\times(7+F(6))+4 \;=\; 4+(F(6)+7)\times F(F(8)-3)$$
$$\mathbf{38765} := F(-3+F(8))\times(7+F(6))+5 \;=\; 5+(F(6)+7)\times F(F(8)-3)$$
$$\mathbf{38766} := F(-3+F(8))\times(7+F(6))+6 \;=\; 6+(F(6)+7)\times F(F(8)-3)$$
$$\mathbf{38767} := F(-3+F(8))\times(7+F(6))+7 \;=\; 7+(F(6)+7)\times F(F(8)-3)$$
$$\mathbf{38768} := F(-3+F(8))\times(7+F(6))+8 \;=\; 8+(F(6)+7)\times F(F(8)-3)$$
$$\mathbf{38769} := F(-3+F(8))\times(7+F(6))+9 \;=\; 9+(F(6)+7)\times F(F(8)-3)$$

$$\mathbf{39360} := 3^9\times F(3)-6+0 \;=\; 0-6+3^9\times F(3)$$
$$\mathbf{39361} := 3^9\times F(3)-6+1 \;=\; 1-6+3^9\times F(3)$$
$$\mathbf{39362} := 3^9\times F(3)-6+2 \;=\; 2-6+3^9\times F(3)$$
$$\mathbf{39363} := 3^9\times F(3)-6+3 \;=\; 3-6+3^9\times F(3)$$
$$\mathbf{39364} := 3^9\times F(3)-6+4 \;=\; 4-6+3^9\times F(3)$$
$$\mathbf{39365} := 3^9\times F(3)-6+5 \;=\; 5-6+3^9\times F(3)$$
$$\mathbf{39366} := 3^9\times F(3)-6+6 \;=\; 6-6+3^9\times F(3)$$
$$\mathbf{39367} := 3^9\times F(3)-6+7 \;=\; 7-6+3^9\times F(3)$$

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$$\mathbf{39368} := 3^9 \times F(3) - 6 + 8 \;=\; 8 - 6 + 3^9 \times F(3)$$
$$\mathbf{39369} := 3^9 \times F(3) - 6 + 9 \;=\; 9 - 6 + 3^9 \times F(3)$$

$$\mathbf{43640} := -F(4\times 3) + F(F(F(6))) \times 4 + 0 \;=\; 0 + 4 \times F(F(F(6))) - F(3\times 4)$$
$$\mathbf{43641} := -F(4\times 3) + F(F(F(6))) \times 4 + 1 \;=\; 1 + 4 \times F(F(F(6))) - F(3\times 4)$$
$$\mathbf{43642} := -F(4\times 3) + F(F(F(6))) \times 4 + 2 \;=\; 2 + 4 \times F(F(F(6))) - F(3\times 4)$$
$$\mathbf{43643} := -F(4\times 3) + F(F(F(6))) \times 4 + 3 \;=\; 3 + 4 \times F(F(F(6))) - F(3\times 4)$$
$$\mathbf{43644} := -F(4\times 3) + F(F(F(6))) \times 4 + 4 \;=\; 4 + 4 \times F(F(F(6))) - F(3\times 4)$$
$$\mathbf{43645} := -F(4\times 3) + F(F(F(6))) \times 4 + 5 \;=\; 5 + 4 \times F(F(F(6))) - F(3\times 4)$$
$$\mathbf{43646} := -F(4\times 3) + F(F(F(6))) \times 4 + 6 \;=\; 6 + 4 \times F(F(F(6))) - F(3\times 4)$$
$$\mathbf{43647} := -F(4\times 3) + F(F(F(6))) \times 4 + 7 \;=\; 7 + 4 \times F(F(F(6))) - F(3\times 4)$$
$$\mathbf{43648} := -F(4\times 3) + F(F(F(6))) \times 4 + 8 \;=\; 8 + 4 \times F(F(F(6))) - F(3\times 4)$$
$$\mathbf{43649} := -F(4\times 3) + F(F(F(6))) \times 4 + 9 \;=\; 9 + 4 \times F(F(F(6))) - F(3\times 4)$$

$$\mathbf{43760} := 4 \times (F(3\times 7) - 6) + 0 \;=\; 0 + (-6 + F(7\times 3)) \times 4$$
$$\mathbf{43761} := 4 \times (F(3\times 7) - 6) + 1 \;=\; 1 + (-6 + F(7\times 3)) \times 4$$
$$\mathbf{43762} := 4 \times (F(3\times 7) - 6) + 2 \;=\; 2 + (-6 + F(7\times 3)) \times 4$$
$$\mathbf{43763} := 4 \times (F(3\times 7) - 6) + 3 \;=\; 3 + (-6 + F(7\times 3)) \times 4$$
$$\mathbf{43764} := 4 \times (F(3\times 7) - 6) + 4 \;=\; 4 + (-6 + F(7\times 3)) \times 4$$
$$\mathbf{43765} := 4 \times (F(3\times 7) - 6) + 5 \;=\; 5 + (-6 + F(7\times 3)) \times 4$$
$$\mathbf{43766} := 4 \times (F(3\times 7) - 6) + 6 \;=\; 6 + (-6 + F(7\times 3)) \times 4$$
$$\mathbf{43767} := 4 \times (F(3\times 7) - 6) + 7 \;=\; 7 + (-6 + F(7\times 3)) \times 4$$
$$\mathbf{43768} := 4 \times (F(3\times 7) - 6) + 8 \;=\; 8 + (-6 + F(7\times 3)) \times 4$$
$$\mathbf{43769} := 4 \times (F(3\times 7) - 6) + 9 \;=\; 9 + (-6 + F(7\times 3)) \times 4$$

$$\mathbf{43780} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 0 \;=\; 0 + (F(8 + F(7)) - F(F(3))) \times 4$$
$$\mathbf{43781} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 1 \;=\; 1 + (F(8 + F(7)) - F(F(3))) \times 4$$
$$\mathbf{43782} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 2 \;=\; 2 + (F(8 + F(7)) - F(F(3))) \times 4$$
$$\mathbf{43783} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 3 \;=\; 3 + (F(8 + F(7)) - F(F(3))) \times 4$$
$$\mathbf{43784} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 4 \;=\; 4 + (F(8 + F(7)) - F(F(3))) \times 4$$
$$\mathbf{43785} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 5 \;=\; 5 + (F(8 + F(7)) - F(F(3))) \times 4$$
$$\mathbf{43786} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 6 \;=\; 6 + (F(8 + F(7)) - F(F(3))) \times 4$$
$$\mathbf{43787} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 7 \;=\; 7 + (F(8 + F(7)) - F(F(3))) \times 4$$
$$\mathbf{43788} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 8 \;=\; 8 + (F(8 + F(7)) - F(F(3))) \times 4$$
$$\mathbf{43789} := 4 \times (-F(F(3)) + F(F(7) + 8)) + 9 \;=\; 9 + (F(8 + F(7)) - F(F(3))) \times 4$$

$$\mathbf{43860} := 4 \times (-F(3) + F(F(8)) + F(F(6))) + 0 \;=\; 0 + (F(F(6)) + F(F(8)) - F(3)) \times 4$$
$$\mathbf{43861} := 4 \times (-F(3) + F(F(8)) + F(F(6))) + 1 \;=\; 1 + (F(F(6)) + F(F(8)) - F(3)) \times 4$$
$$\mathbf{43862} := 4 \times (-F(3) + F(F(8)) + F(F(6))) + 2 \;=\; 2 + (F(F(6)) + F(F(8)) - F(3)) \times 4$$
$$\mathbf{43863} := 4 \times (-F(3) + F(F(8)) + F(F(6))) + 3 \;=\; 3 + (F(F(6)) + F(F(8)) - F(3)) \times 4$$

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$$\mathbf{43864} := 4\times(-F(3)+F(F(8))+F(F(6)))+4 = 4+(F(F(6))+F(F(8))-F(3))\times 4$$
$$\mathbf{43865} := 4\times(-F(3)+F(F(8))+F(F(6)))+5 = 5+(F(F(6))+F(F(8))-F(3))\times 4$$
$$\mathbf{43866} := 4\times(-F(3)+F(F(8))+F(F(6)))+6 = 6+(F(F(6))+F(F(8))-F(3))\times 4$$
$$\mathbf{43867} := 4\times(-F(3)+F(F(8))+F(F(6)))+7 = 7+(F(F(6))+F(F(8))-F(3))\times 4$$
$$\mathbf{43868} := 4\times(-F(3)+F(F(8))+F(F(6)))+8 = 8+(F(F(6))+F(F(8))-F(3))\times 4$$
$$\mathbf{43869} := 4\times(-F(3)+F(F(8))+F(F(6)))+9 = 9+(F(F(6))+F(F(8))-F(3))\times 4$$

$$\mathbf{43880} := 4\times(3+F(F(8))+F(8))+0 = 0+(F(F(8))+8\times 3)\times 4$$
$$\mathbf{43881} := 4\times(3+F(F(8))+F(8))+1 = 1+(F(F(8))+8\times 3)\times 4$$
$$\mathbf{43882} := 4\times(3+F(F(8))+F(8))+2 = 2+(F(F(8))+8\times 3)\times 4$$
$$\mathbf{43883} := 4\times(3+F(F(8))+F(8))+3 = 3+(F(F(8))+8\times 3)\times 4$$
$$\mathbf{43884} := 4\times(3+F(F(8))+F(8))+4 = 4+(F(F(8))+8\times 3)\times 4$$
$$\mathbf{43885} := 4\times(3+F(F(8))+F(8))+5 = 5+(F(F(8))+8\times 3)\times 4$$
$$\mathbf{43886} := 4\times(3+F(F(8))+F(8))+6 = 6+(F(F(8))+8\times 3)\times 4$$
$$\mathbf{43887} := 4\times(3+F(F(8))+F(8))+7 = 7+(F(F(8))+8\times 3)\times 4$$
$$\mathbf{43888} := 4\times(3+F(F(8))+F(8))+8 = 8+(F(F(8))+8\times 3)\times 4$$
$$\mathbf{43889} := 4\times(3+F(F(8))+F(8))+9 = 9+(F(F(8))+8\times 3)\times 4$$

$$\mathbf{44360} := 4\times(F(4\times 3)+F(F(F(6))))+0 = 0+(F(F(F(6)))+F(3\times 4))\times 4$$
$$\mathbf{44361} := 4\times(F(4\times 3)+F(F(F(6))))+1 = 1+(F(F(F(6)))+F(3\times 4))\times 4$$
$$\mathbf{44362} := 4\times(F(4\times 3)+F(F(F(6))))+2 = 2+(F(F(F(6)))+F(3\times 4))\times 4$$
$$\mathbf{44363} := 4\times(F(4\times 3)+F(F(F(6))))+3 = 3+(F(F(F(6)))+F(3\times 4))\times 4$$
$$\mathbf{44364} := 4\times(F(4\times 3)+F(F(F(6))))+4 = 4+(F(F(F(6)))+F(3\times 4))\times 4$$
$$\mathbf{44365} := 4\times(F(4\times 3)+F(F(F(6))))+5 = 5+(F(F(F(6)))+F(3\times 4))\times 4$$
$$\mathbf{44366} := 4\times(F(4\times 3)+F(F(F(6))))+6 = 6+(F(F(F(6)))+F(3\times 4))\times 4$$
$$\mathbf{44367} := 4\times(F(4\times 3)+F(F(F(6))))+7 = 7+(F(F(F(6)))+F(3\times 4))\times 4$$
$$\mathbf{44368} := 4\times(F(4\times 3)+F(F(F(6))))+8 = 8+(F(F(F(6)))+F(3\times 4))\times 4$$
$$\mathbf{44369} := 4\times(F(4\times 3)+F(F(F(6))))+9 = 9+(F(F(F(6)))+F(3\times 4))\times 4$$

$$\mathbf{46360} := F(4\times 6)-F(3)-6+0 = 0-6-F(3)+F(6\times 4)$$
$$\mathbf{46361} := F(4\times 6)-F(3)-6+1 = 1-6-F(3)+F(6\times 4)$$
$$\mathbf{46362} := F(4\times 6)-F(3)-6+2 = 2-6-F(3)+F(6\times 4)$$
$$\mathbf{46363} := F(4\times 6)-F(3)-6+3 = 3-6-F(3)+F(6\times 4)$$
$$\mathbf{46364} := F(4\times 6)-F(3)-6+4 = 4-6-F(3)+F(6\times 4)$$
$$\mathbf{46365} := F(4\times 6)-F(3)-6+5 = 5-6-F(3)+F(6\times 4)$$
$$\mathbf{46366} := F(4\times 6)-F(3)-6+6 = 6-6-F(3)+F(6\times 4)$$
$$\mathbf{46367} := F(4\times 6)-F(3)-6+7 = 7-6-F(3)+F(6\times 4)$$
$$\mathbf{46368} := F(4\times 6)-F(3)-6+8 = 8-6-F(3)+F(6\times 4)$$
$$\mathbf{46369} := F(4\times 6)-F(3)-6+9 = 9-6-F(3)+F(6\times 4)$$

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$$46370 := F(4\times 6)+F(F(-3+7))+0 \;=\; 0+F(F(7-3))+F(6\times 4)$$
$$46371 := F(4\times 6)+F(F(-3+7))+1 \;=\; 1+F(F(7-3))+F(6\times 4)$$
$$46372 := F(4\times 6)+F(F(-3+7))+2 \;=\; 2+F(F(7-3))+F(6\times 4)$$
$$46373 := F(4\times 6)+F(F(-3+7))+3 \;=\; 3+F(F(7-3))+F(6\times 4)$$
$$46374 := F(4\times 6)+F(F(-3+7))+4 \;=\; 4+F(F(7-3))+F(6\times 4)$$
$$46375 := F(4\times 6)+F(F(-3+7))+5 \;=\; 5+F(F(7-3))+F(6\times 4)$$
$$46376 := F(4\times 6)+F(F(-3+7))+6 \;=\; 6+F(F(7-3))+F(6\times 4)$$
$$46377 := F(4\times 6)+F(F(-3+7))+7 \;=\; 7+F(F(7-3))+F(6\times 4)$$
$$46378 := F(4\times 6)+F(F(-3+7))+8 \;=\; 8+F(F(7-3))+F(6\times 4)$$
$$46379 := F(4\times 6)+F(F(-3+7))+9 \;=\; 9+F(F(7-3))+F(6\times 4)$$

$$46380 := 4+F(6)+F(3\times 8)+0 \;=\; 0+F(8\times 3)+F(6)+4$$
$$46381 := 4+F(6)+F(3\times 8)+1 \;=\; 1+F(8\times 3)+F(6)+4$$
$$46382 := 4+F(6)+F(3\times 8)+2 \;=\; 2+F(8\times 3)+F(6)+4$$
$$46383 := 4+F(6)+F(3\times 8)+3 \;=\; 3+F(8\times 3)+F(6)+4$$
$$46384 := 4+F(6)+F(3\times 8)+4 \;=\; 4+F(8\times 3)+F(6)+4$$
$$46385 := 4+F(6)+F(3\times 8)+5 \;=\; 5+F(8\times 3)+F(6)+4$$
$$46386 := 4+F(6)+F(3\times 8)+6 \;=\; 6+F(8\times 3)+F(6)+4$$
$$46387 := 4+F(6)+F(3\times 8)+7 \;=\; 7+F(8\times 3)+F(6)+4$$
$$46388 := 4+F(6)+F(3\times 8)+8 \;=\; 8+F(8\times 3)+F(6)+4$$
$$46389 := 4+F(6)+F(3\times 8)+9 \;=\; 9+F(8\times 3)+F(6)+4$$

$$46660 := -4+F(6)+6^6+0 \;=\; 0+6^6+F(6)-4$$
$$46661 := -4+F(6)+6^6+1 \;=\; 1+6^6+F(6)-4$$
$$46662 := -4+F(6)+6^6+2 \;=\; 2+6^6+F(6)-4$$
$$46663 := -4+F(6)+6^6+3 \;=\; 3+6^6+F(6)-4$$
$$46664 := -4+F(6)+6^6+4 \;=\; 4+6^6+F(6)-4$$
$$46665 := -4+F(6)+6^6+5 \;=\; 5+6^6+F(6)-4$$
$$46666 := -4+F(6)+6^6+6 \;=\; 6+6^6+F(6)-4$$
$$46667 := -4+F(6)+6^6+7 \;=\; 7+6^6+F(6)-4$$
$$46668 := -4+F(6)+6^6+8 \;=\; 8+6^6+F(6)-4$$
$$46669 := -4+F(6)+6^6+9 \;=\; 9+6^6+F(6)-4$$

$$46670 := F(F(F(4)))+6^6+F(7)+0 \;=\; 0+F(7)+6^6+F(F(F(4)))$$
$$46671 := F(F(F(4)))+6^6+F(7)+1 \;=\; 1+F(7)+6^6+F(F(F(4)))$$
$$46672 := F(F(F(4)))+6^6+F(7)+2 \;=\; 2+F(7)+6^6+F(F(F(4)))$$
$$46673 := F(F(F(4)))+6^6+F(7)+3 \;=\; 3+F(7)+6^6+F(F(F(4)))$$
$$46674 := F(F(F(4)))+6^6+F(7)+4 \;=\; 4+F(7)+6^6+F(F(F(4)))$$
$$46675 := F(F(F(4)))+6^6+F(7)+5 \;=\; 5+F(7)+6^6+F(F(F(4)))$$

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$$\mathbf{46676} := F(F(F(4))) + 6^6 + F(7) + 6 = 6 + F(7) + 6^6 + F(F(F(4)))$$
$$\mathbf{46677} := F(F(F(4))) + 6^6 + F(7) + 7 = 7 + F(7) + 6^6 + F(F(F(4)))$$
$$\mathbf{46678} := F(F(F(4))) + 6^6 + F(7) + 8 = 8 + F(7) + 6^6 + F(F(F(4)))$$
$$\mathbf{46679} := F(F(F(4))) + 6^6 + F(7) + 9 = 9 + F(7) + 6^6 + F(F(F(4)))$$

$$\mathbf{46680} := F(4) + 6^6 + F(8) + 0 = 0 + F(8) + 6^6 + F(4)$$
$$\mathbf{46681} := F(4) + 6^6 + F(8) + 1 = 1 + F(8) + 6^6 + F(4)$$
$$\mathbf{46682} := F(4) + 6^6 + F(8) + 2 = 2 + F(8) + 6^6 + F(4)$$
$$\mathbf{46683} := F(4) + 6^6 + F(8) + 3 = 3 + F(8) + 6^6 + F(4)$$
$$\mathbf{46684} := F(4) + 6^6 + F(8) + 4 = 4 + F(8) + 6^6 + F(4)$$
$$\mathbf{46685} := F(4) + 6^6 + F(8) + 5 = 5 + F(8) + 6^6 + F(4)$$
$$\mathbf{46686} := F(4) + 6^6 + F(8) + 6 = 6 + F(8) + 6^6 + F(4)$$
$$\mathbf{46687} := F(4) + 6^6 + F(8) + 7 = 7 + F(8) + 6^6 + F(4)$$
$$\mathbf{46688} := F(4) + 6^6 + F(8) + 8 = 8 + F(8) + 6^6 + F(4)$$
$$\mathbf{46689} := F(4) + 6^6 + F(8) + 9 = 9 + F(8) + 6^6 + F(4)$$

$$\mathbf{54290} := F(5 \times F(4)) \times F(2 + 9) + 0 = 0 + F(9 + 2) \times F(F(4) \times 5)$$
$$\mathbf{54291} := F(5 \times F(4)) \times F(2 + 9) + 1 = 1 + F(9 + 2) \times F(F(4) \times 5)$$
$$\mathbf{54292} := F(5 \times F(4)) \times F(2 + 9) + 2 = 2 + F(9 + 2) \times F(F(4) \times 5)$$
$$\mathbf{54293} := F(5 \times F(4)) \times F(2 + 9) + 3 = 3 + F(9 + 2) \times F(F(4) \times 5)$$
$$\mathbf{54294} := F(5 \times F(4)) \times F(2 + 9) + 4 = 4 + F(9 + 2) \times F(F(4) \times 5)$$
$$\mathbf{54295} := F(5 \times F(4)) \times F(2 + 9) + 5 = 5 + F(9 + 2) \times F(F(4) \times 5)$$
$$\mathbf{54296} := F(5 \times F(4)) \times F(2 + 9) + 6 = 6 + F(9 + 2) \times F(F(4) \times 5)$$
$$\mathbf{54297} := F(5 \times F(4)) \times F(2 + 9) + 7 = 7 + F(9 + 2) \times F(F(4) \times 5)$$
$$\mathbf{54298} := F(5 \times F(4)) \times F(2 + 9) + 8 = 8 + F(9 + 2) \times F(F(4) \times 5)$$
$$\mathbf{54299} := F(5 \times F(4)) \times F(2 + 9) + 9 = 9 + F(9 + 2) \times F(F(4) \times 5)$$

$$\mathbf{54560} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 0 = 0 + (F(F(F(6))) - F(5 + 4)) \times 5$$
$$\mathbf{54561} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 1 = 1 + (F(F(F(6))) - F(5 + 4)) \times 5$$
$$\mathbf{54562} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 2 = 2 + (F(F(F(6))) - F(5 + 4)) \times 5$$
$$\mathbf{54563} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 3 = 3 + (F(F(F(6))) - F(5 + 4)) \times 5$$
$$\mathbf{54564} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 4 = 4 + (F(F(F(6))) - F(5 + 4)) \times 5$$
$$\mathbf{54565} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 5 = 5 + (F(F(F(6))) - F(5 + 4)) \times 5$$
$$\mathbf{54566} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 6 = 6 + (F(F(F(6))) - F(5 + 4)) \times 5$$
$$\mathbf{54567} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 7 = 7 + (F(F(F(6))) - F(5 + 4)) \times 5$$
$$\mathbf{54568} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 8 = 8 + (F(F(F(6))) - F(5 + 4)) \times 5$$
$$\mathbf{54569} := 5 \times (-F(4 + 5) + F(F(F(6)))) + 9 = 9 + (F(F(F(6))) - F(5 + 4)) \times 5$$

$$\mathbf{54670} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 0 = 0 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$

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$$\mathbf{54671} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 1 = 1 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54672} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 2 = 2 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54673} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 3 = 3 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54674} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 4 = 4 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54675} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 5 = 5 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54676} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 6 = 6 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54677} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 7 = 7 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54678} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 8 = 8 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54679} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(7)) + 9 = 9 + (-F(7) + F(F(F(6))) + F(F(F(4)))) \times 5$$

$$\mathbf{54680} := 5 \times (-4 - 6 + F(F(8))) + 0 = 0 + (F(F(8)) - 6 - 4) \times 5$$
$$\mathbf{54681} := 5 \times (-4 - 6 + F(F(8))) + 1 = 1 + (F(F(8)) - 6 - 4) \times 5$$
$$\mathbf{54682} := 5 \times (-4 - 6 + F(F(8))) + 2 = 2 + (F(F(8)) - 6 - 4) \times 5$$
$$\mathbf{54683} := 5 \times (-4 - 6 + F(F(8))) + 3 = 3 + (F(F(8)) - 6 - 4) \times 5$$
$$\mathbf{54684} := 5 \times (-4 - 6 + F(F(8))) + 4 = 4 + (F(F(8)) - 6 - 4) \times 5$$
$$\mathbf{54685} := 5 \times (-4 - 6 + F(F(8))) + 5 = 5 + (F(F(8)) - 6 - 4) \times 5$$
$$\mathbf{54686} := 5 \times (-4 - 6 + F(F(8))) + 6 = 6 + (F(F(8)) - 6 - 4) \times 5$$
$$\mathbf{54687} := 5 \times (-4 - 6 + F(F(8))) + 7 = 7 + (F(F(8)) - 6 - 4) \times 5$$
$$\mathbf{54688} := 5 \times (-4 - 6 + F(F(8))) + 8 = 8 + (F(F(8)) - 6 - 4) \times 5$$
$$\mathbf{54689} := 5 \times (-4 - 6 + F(F(8))) + 9 = 9 + (F(F(8)) - 6 - 4) \times 5$$

$$\mathbf{54690} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 0 = 0 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54691} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 1 = 1 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54692} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 2 = 2 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54693} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 3 = 3 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54694} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 4 = 4 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54695} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 5 = 5 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54696} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 6 = 6 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54697} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 7 = 7 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54698} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 8 = 8 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$
$$\mathbf{54699} := 5 \times (F(F(F(4))) + F(F(F(6))) - 9) + 9 = 9 + (-9 + F(F(F(6))) + F(F(F(4)))) \times 5$$

$$\mathbf{54710} := 5 \times (-4 + F(F(7+1))) + 0 = 0 + (F(F(1+7)) - 4) \times 5$$
$$\mathbf{54711} := 5 \times (-4 + F(F(7+1))) + 1 = 1 + (F(F(1+7)) - 4) \times 5$$
$$\mathbf{54712} := 5 \times (-4 + F(F(7+1))) + 2 = 2 + (F(F(1+7)) - 4) \times 5$$
$$\mathbf{54713} := 5 \times (-4 + F(F(7+1))) + 3 = 3 + (F(F(1+7)) - 4) \times 5$$
$$\mathbf{54714} := 5 \times (-4 + F(F(7+1))) + 4 = 4 + (F(F(1+7)) - 4) \times 5$$
$$\mathbf{54715} := 5 \times (-4 + F(F(7+1))) + 5 = 5 + (F(F(1+7)) - 4) \times 5$$
$$\mathbf{54716} := 5 \times (-4 + F(F(7+1))) + 6 = 6 + (F(F(1+7)) - 4) \times 5$$
$$\mathbf{54717} := 5 \times (-4 + F(F(7+1))) + 7 = 7 + (F(F(1+7)) - 4) \times 5$$

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$$\mathbf{54718} := 5 \times (-4 + F(F(7+1))) + 8 \;=\; 8 + (F(F(1+7)) - 4) \times 5$$
$$\mathbf{54719} := 5 \times (-4 + F(F(7+1))) + 9 \;=\; 9 + (F(F(1+7)) - 4) \times 5$$

$$\mathbf{54720} := 5 \times (F(F(4) \times 7) - 2) + 0 \;=\; 0 + (-2 + F(7 \times F(4))) \times 5$$
$$\mathbf{54721} := 5 \times (F(F(4) \times 7) - 2) + 1 \;=\; 1 + (-2 + F(7 \times F(4))) \times 5$$
$$\mathbf{54722} := 5 \times (F(F(4) \times 7) - 2) + 2 \;=\; 2 + (-2 + F(7 \times F(4))) \times 5$$
$$\mathbf{54723} := 5 \times (F(F(4) \times 7) - 2) + 3 \;=\; 3 + (-2 + F(7 \times F(4))) \times 5$$
$$\mathbf{54724} := 5 \times (F(F(4) \times 7) - 2) + 4 \;=\; 4 + (-2 + F(7 \times F(4))) \times 5$$
$$\mathbf{54725} := 5 \times (F(F(4) \times 7) - 2) + 5 \;=\; 5 + (-2 + F(7 \times F(4))) \times 5$$
$$\mathbf{54726} := 5 \times (F(F(4) \times 7) - 2) + 6 \;=\; 6 + (-2 + F(7 \times F(4))) \times 5$$
$$\mathbf{54727} := 5 \times (F(F(4) \times 7) - 2) + 7 \;=\; 7 + (-2 + F(7 \times F(4))) \times 5$$
$$\mathbf{54728} := 5 \times (F(F(4) \times 7) - 2) + 8 \;=\; 8 + (-2 + F(7 \times F(4))) \times 5$$
$$\mathbf{54729} := 5 \times (F(F(4) \times 7) - 2) + 9 \;=\; 9 + (-2 + F(7 \times F(4))) \times 5$$

$$\mathbf{54730} := 5 \times F(F(4) \times 7) \times F(F(3)) + 0 \;=\; 0 + F(F(3)) \times F(7 \times F(4)) \times 5$$
$$\mathbf{54731} := 5 \times F(F(4) \times 7) \times F(F(3)) + 1 \;=\; 1 + F(F(3)) \times F(7 \times F(4)) \times 5$$
$$\mathbf{54732} := 5 \times F(F(4) \times 7) \times F(F(3)) + 2 \;=\; 2 + F(F(3)) \times F(7 \times F(4)) \times 5$$
$$\mathbf{54733} := 5 \times F(F(4) \times 7) \times F(F(3)) + 3 \;=\; 3 + F(F(3)) \times F(7 \times F(4)) \times 5$$
$$\mathbf{54734} := 5 \times F(F(4) \times 7) \times F(F(3)) + 4 \;=\; 4 + F(F(3)) \times F(7 \times F(4)) \times 5$$
$$\mathbf{54735} := 5 \times F(F(4) \times 7) \times F(F(3)) + 5 \;=\; 5 + F(F(3)) \times F(7 \times F(4)) \times 5$$
$$\mathbf{54736} := 5 \times F(F(4) \times 7) \times F(F(3)) + 6 \;=\; 6 + F(F(3)) \times F(7 \times F(4)) \times 5$$
$$\mathbf{54737} := 5 \times F(F(4) \times 7) \times F(F(3)) + 7 \;=\; 7 + F(F(3)) \times F(7 \times F(4)) \times 5$$
$$\mathbf{54738} := 5 \times F(F(4) \times 7) \times F(F(3)) + 8 \;=\; 8 + F(F(3)) \times F(7 \times F(4)) \times 5$$
$$\mathbf{54739} := 5 \times F(F(4) \times 7) \times F(F(3)) + 9 \;=\; 9 + F(F(3)) \times F(7 \times F(4)) \times 5$$

$$\mathbf{54740} := 5 \times (F(F(4) \times 7) + F(F(4))) + 0 \;=\; 0 + (F(F(4)) + F(7 \times F(4))) \times 5$$
$$\mathbf{54741} := 5 \times (F(F(4) \times 7) + F(F(4))) + 1 \;=\; 1 + (F(F(4)) + F(7 \times F(4))) \times 5$$
$$\mathbf{54742} := 5 \times (F(F(4) \times 7) + F(F(4))) + 2 \;=\; 2 + (F(F(4)) + F(7 \times F(4))) \times 5$$
$$\mathbf{54743} := 5 \times (F(F(4) \times 7) + F(F(4))) + 3 \;=\; 3 + (F(F(4)) + F(7 \times F(4))) \times 5$$
$$\mathbf{54744} := 5 \times (F(F(4) \times 7) + F(F(4))) + 4 \;=\; 4 + (F(F(4)) + F(7 \times F(4))) \times 5$$
$$\mathbf{54745} := 5 \times (F(F(4) \times 7) + F(F(4))) + 5 \;=\; 5 + (F(F(4)) + F(7 \times F(4))) \times 5$$
$$\mathbf{54746} := 5 \times (F(F(4) \times 7) + F(F(4))) + 6 \;=\; 6 + (F(F(4)) + F(7 \times F(4))) \times 5$$
$$\mathbf{54747} := 5 \times (F(F(4) \times 7) + F(F(4))) + 7 \;=\; 7 + (F(F(4)) + F(7 \times F(4))) \times 5$$
$$\mathbf{54748} := 5 \times (F(F(4) \times 7) + F(F(4))) + 8 \;=\; 8 + (F(F(4)) + F(7 \times F(4))) \times 5$$
$$\mathbf{54749} := 5 \times (F(F(4) \times 7) + F(F(4))) + 9 \;=\; 9 + (F(F(4)) + F(7 \times F(4))) \times 5$$

$$\mathbf{54750} := 5 \times (4 + F(F(F(7) - 5))) + 0 \;=\; 0 + (F(F(-5 + F(7))) + 4) \times 5$$
$$\mathbf{54751} := 5 \times (4 + F(F(F(7) - 5))) + 1 \;=\; 1 + (F(F(-5 + F(7))) + 4) \times 5$$
$$\mathbf{54752} := 5 \times (4 + F(F(F(7) - 5))) + 2 \;=\; 2 + (F(F(-5 + F(7))) + 4) \times 5$$
$$\mathbf{54753} := 5 \times (4 + F(F(F(7) - 5))) + 3 \;=\; 3 + (F(F(-5 + F(7))) + 4) \times 5$$

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$$\mathbf{54754} := 5 \times (4 + F(F(F(7) - 5))) + 4 \;=\; 4 + (F(F(-5 + F(7))) + 4) \times 5$$
$$\mathbf{54755} := 5 \times (4 + F(F(F(7) - 5))) + 5 \;=\; 5 + (F(F(-5 + F(7))) + 4) \times 5$$
$$\mathbf{54756} := 5 \times (4 + F(F(F(7) - 5))) + 6 \;=\; 6 + (F(F(-5 + F(7))) + 4) \times 5$$
$$\mathbf{54757} := 5 \times (4 + F(F(F(7) - 5))) + 7 \;=\; 7 + (F(F(-5 + F(7))) + 4) \times 5$$
$$\mathbf{54758} := 5 \times (4 + F(F(F(7) - 5))) + 8 \;=\; 8 + (F(F(-5 + F(7))) + 4) \times 5$$
$$\mathbf{54759} := 5 \times (4 + F(F(F(7) - 5))) + 9 \;=\; 9 + (F(F(-5 + F(7))) + 4) \times 5$$

$$\mathbf{54760} := 5 \times (F(F(4) \times 7) + 6) + 0 \;=\; 0 + (6 + F(7 \times F(4))) \times 5$$
$$\mathbf{54761} := 5 \times (F(F(4) \times 7) + 6) + 1 \;=\; 1 + (6 + F(7 \times F(4))) \times 5$$
$$\mathbf{54762} := 5 \times (F(F(4) \times 7) + 6) + 2 \;=\; 2 + (6 + F(7 \times F(4))) \times 5$$
$$\mathbf{54763} := 5 \times (F(F(4) \times 7) + 6) + 3 \;=\; 3 + (6 + F(7 \times F(4))) \times 5$$
$$\mathbf{54764} := 5 \times (F(F(4) \times 7) + 6) + 4 \;=\; 4 + (6 + F(7 \times F(4))) \times 5$$
$$\mathbf{54765} := 5 \times (F(F(4) \times 7) + 6) + 5 \;=\; 5 + (6 + F(7 \times F(4))) \times 5$$
$$\mathbf{54766} := 5 \times (F(F(4) \times 7) + 6) + 6 \;=\; 6 + (6 + F(7 \times F(4))) \times 5$$
$$\mathbf{54767} := 5 \times (F(F(4) \times 7) + 6) + 7 \;=\; 7 + (6 + F(7 \times F(4))) \times 5$$
$$\mathbf{54768} := 5 \times (F(F(4) \times 7) + 6) + 8 \;=\; 8 + (6 + F(7 \times F(4))) \times 5$$
$$\mathbf{54769} := 5 \times (F(F(4) \times 7) + 6) + 9 \;=\; 9 + (6 + F(7 \times F(4))) \times 5$$

$$\mathbf{54780} := 5 \times (-F(4) + F(7) + F(F(8))) + 0 \;=\; 0 + (F(F(8)) + F(7) - F(4)) \times 5$$
$$\mathbf{54781} := 5 \times (-F(4) + F(7) + F(F(8))) + 1 \;=\; 1 + (F(F(8)) + F(7) - F(4)) \times 5$$
$$\mathbf{54782} := 5 \times (-F(4) + F(7) + F(F(8))) + 2 \;=\; 2 + (F(F(8)) + F(7) - F(4)) \times 5$$
$$\mathbf{54783} := 5 \times (-F(4) + F(7) + F(F(8))) + 3 \;=\; 3 + (F(F(8)) + F(7) - F(4)) \times 5$$
$$\mathbf{54784} := 5 \times (-F(4) + F(7) + F(F(8))) + 4 \;=\; 4 + (F(F(8)) + F(7) - F(4)) \times 5$$
$$\mathbf{54785} := 5 \times (-F(4) + F(7) + F(F(8))) + 5 \;=\; 5 + (F(F(8)) + F(7) - F(4)) \times 5$$
$$\mathbf{54786} := 5 \times (-F(4) + F(7) + F(F(8))) + 6 \;=\; 6 + (F(F(8)) + F(7) - F(4)) \times 5$$
$$\mathbf{54787} := 5 \times (-F(4) + F(7) + F(F(8))) + 7 \;=\; 7 + (F(F(8)) + F(7) - F(4)) \times 5$$
$$\mathbf{54788} := 5 \times (-F(4) + F(7) + F(F(8))) + 8 \;=\; 8 + (F(F(8)) + F(7) - F(4)) \times 5$$
$$\mathbf{54789} := 5 \times (-F(4) + F(7) + F(F(8))) + 9 \;=\; 9 + (F(F(8)) + F(7) - F(4)) \times 5$$

$$\mathbf{54890} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 0 \;=\; 0 + (F(9) + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54891} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 1 \;=\; 1 + (F(9) + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54892} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 2 \;=\; 2 + (F(9) + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54893} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 3 \;=\; 3 + (F(9) + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54894} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 4 \;=\; 4 + (F(9) + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54895} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 5 \;=\; 5 + (F(9) + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54896} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 6 \;=\; 6 + (F(9) + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54897} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 7 \;=\; 7 + (F(9) + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54898} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 8 \;=\; 8 + (F(9) + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54899} := 5 \times (-F(F(4)) + F(F(8)) + F(9)) + 9 \;=\; 9 + (F(9) + F(F(8)) - F(F(4))) \times 5$$

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$$\mathbf{55870} := 5\times(-5+F(F(8))+F(F(7)))+0 = 0+(F(F(7))+F(F(8))-5)\times 5$$
$$\mathbf{55871} := 5\times(-5+F(F(8))+F(F(7)))+1 = 1+(F(F(7))+F(F(8))-5)\times 5$$
$$\mathbf{55872} := 5\times(-5+F(F(8))+F(F(7)))+2 = 2+(F(F(7))+F(F(8))-5)\times 5$$
$$\mathbf{55873} := 5\times(-5+F(F(8))+F(F(7)))+3 = 3+(F(F(7))+F(F(8))-5)\times 5$$
$$\mathbf{55874} := 5\times(-5+F(F(8))+F(F(7)))+4 = 4+(F(F(7))+F(F(8))-5)\times 5$$
$$\mathbf{55875} := 5\times(-5+F(F(8))+F(F(7)))+5 = 5+(F(F(7))+F(F(8))-5)\times 5$$
$$\mathbf{55876} := 5\times(-5+F(F(8))+F(F(7)))+6 = 6+(F(F(7))+F(F(8))-5)\times 5$$
$$\mathbf{55877} := 5\times(-5+F(F(8))+F(F(7)))+7 = 7+(F(F(7))+F(F(8))-5)\times 5$$
$$\mathbf{55878} := 5\times(-5+F(F(8))+F(F(7)))+8 = 8+(F(F(7))+F(F(8))-5)\times 5$$
$$\mathbf{55879} := 5\times(-5+F(F(8))+F(F(7)))+9 = 9+(F(F(7))+F(F(8))-5)\times 5$$

$$\mathbf{65660} := -F(F(6))+5+F(F(F(6)))\times 6+0 = 0+F(F(F(6)))\times 6+5-F(F(6))$$
$$\mathbf{65661} := -F(F(6))+5+F(F(F(6)))\times 6+1 = 1+F(F(F(6)))\times 6+5-F(F(6))$$
$$\mathbf{65662} := -F(F(6))+5+F(F(F(6)))\times 6+2 = 2+F(F(F(6)))\times 6+5-F(F(6))$$
$$\mathbf{65663} := -F(F(6))+5+F(F(F(6)))\times 6+3 = 3+F(F(F(6)))\times 6+5-F(F(6))$$
$$\mathbf{65664} := -F(F(6))+5+F(F(F(6)))\times 6+4 = 4+F(F(F(6)))\times 6+5-F(F(6))$$
$$\mathbf{65665} := -F(F(6))+5+F(F(F(6)))\times 6+5 = 5+F(F(F(6)))\times 6+5-F(F(6))$$
$$\mathbf{65666} := -F(F(6))+5+F(F(F(6)))\times 6+6 = 6+F(F(F(6)))\times 6+5-F(F(6))$$
$$\mathbf{65667} := -F(F(6))+5+F(F(F(6)))\times 6+7 = 7+F(F(F(6)))\times 6+5-F(F(6))$$
$$\mathbf{65668} := -F(F(6))+5+F(F(F(6)))\times 6+8 = 8+F(F(F(6)))\times 6+5-F(F(6))$$
$$\mathbf{65669} := -F(F(6))+5+F(F(F(6)))\times 6+9 = 9+F(F(F(6)))\times 6+5-F(F(6))$$

$$\mathbf{76720} := 7\times(F(F(F(6)))+7\times 2)+0 = 0+(2\times 7+F(F(F(6))))\times 7$$
$$\mathbf{76721} := 7\times(F(F(F(6)))+7\times 2)+1 = 1+(2\times 7+F(F(F(6))))\times 7$$
$$\mathbf{76722} := 7\times(F(F(F(6)))+7\times 2)+2 = 2+(2\times 7+F(F(F(6))))\times 7$$
$$\mathbf{76723} := 7\times(F(F(F(6)))+7\times 2)+3 = 3+(2\times 7+F(F(F(6))))\times 7$$
$$\mathbf{76724} := 7\times(F(F(F(6)))+7\times 2)+4 = 4+(2\times 7+F(F(F(6))))\times 7$$
$$\mathbf{76725} := 7\times(F(F(F(6)))+7\times 2)+5 = 5+(2\times 7+F(F(F(6))))\times 7$$
$$\mathbf{76726} := 7\times(F(F(F(6)))+7\times 2)+6 = 6+(2\times 7+F(F(F(6))))\times 7$$
$$\mathbf{76727} := 7\times(F(F(F(6)))+7\times 2)+7 = 7+(2\times 7+F(F(F(6))))\times 7$$
$$\mathbf{76728} := 7\times(F(F(F(6)))+7\times 2)+8 = 8+(2\times 7+F(F(F(6))))\times 7$$
$$\mathbf{76729} := 7\times(F(F(F(6)))+7\times 2)+9 = 9+(2\times 7+F(F(F(6))))\times 7$$

$$\mathbf{76860} := F(7+F(6))\times F(8)\times 6+0 = 0+6\times F(8)\times F(F(6)+7)$$
$$\mathbf{76861} := F(7+F(6))\times F(8)\times 6+1 = 1+6\times F(8)\times F(F(6)+7)$$
$$\mathbf{76862} := F(7+F(6))\times F(8)\times 6+2 = 2+6\times F(8)\times F(F(6)+7)$$
$$\mathbf{76863} := F(7+F(6))\times F(8)\times 6+3 = 3+6\times F(8)\times F(F(6)+7)$$
$$\mathbf{76864} := F(7+F(6))\times F(8)\times 6+4 = 4+6\times F(8)\times F(F(6)+7)$$
$$\mathbf{76865} := F(7+F(6))\times F(8)\times 6+5 = 5+6\times F(8)\times F(F(6)+7)$$
$$\mathbf{76866} := F(7+F(6))\times F(8)\times 6+6 = 6+6\times F(8)\times F(F(6)+7)$$

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$$\mathbf{76867} := F(7+F(6)) \times F(8) \times 6+7 \;=\; 7+6 \times F(8) \times F(F(6)+7)$$
$$\mathbf{76868} := F(7+F(6)) \times F(8) \times 6+8 \;=\; 8+6 \times F(8) \times F(F(6)+7)$$
$$\mathbf{76869} := F(7+F(6)) \times F(8) \times 6+9 \;=\; 9+6 \times F(8) \times F(F(6)+7)$$

$$\mathbf{76890} := F(F(7)) \times 6 \times (F(8)+F(9))+0 \;=\; 0+(F(9)+F(8)) \times 6 \times F(F(7))$$
$$\mathbf{76891} := F(F(7)) \times 6 \times (F(8)+F(9))+1 \;=\; 1+(F(9)+F(8)) \times 6 \times F(F(7))$$
$$\mathbf{76892} := F(F(7)) \times 6 \times (F(8)+F(9))+2 \;=\; 2+(F(9)+F(8)) \times 6 \times F(F(7))$$
$$\mathbf{76893} := F(F(7)) \times 6 \times (F(8)+F(9))+3 \;=\; 3+(F(9)+F(8)) \times 6 \times F(F(7))$$
$$\mathbf{76894} := F(F(7)) \times 6 \times (F(8)+F(9))+4 \;=\; 4+(F(9)+F(8)) \times 6 \times F(F(7))$$
$$\mathbf{76895} := F(F(7)) \times 6 \times (F(8)+F(9))+5 \;=\; 5+(F(9)+F(8)) \times 6 \times F(F(7))$$
$$\mathbf{76896} := F(F(7)) \times 6 \times (F(8)+F(9))+6 \;=\; 6+(F(9)+F(8)) \times 6 \times F(F(7))$$
$$\mathbf{76897} := F(F(7)) \times 6 \times (F(8)+F(9))+7 \;=\; 7+(F(9)+F(8)) \times 6 \times F(F(7))$$
$$\mathbf{76898} := F(F(7)) \times 6 \times (F(8)+F(9))+8 \;=\; 8+(F(9)+F(8)) \times 6 \times F(F(7))$$
$$\mathbf{76899} := F(F(7)) \times 6 \times (F(8)+F(9))+9 \;=\; 9+(F(9)+F(8)) \times 6 \times F(F(7))$$

$$\mathbf{7920} := F(F(7)) \times F(9)-2+0 \;=\; 0-2+F(9) \times F(F(7))$$
$$\mathbf{7921} := F(F(7)) \times F(9)-2+1 \;=\; 1-2+F(9) \times F(F(7))$$
$$\mathbf{7922} := F(F(7)) \times F(9)-2+2 \;=\; 2-2+F(9) \times F(F(7))$$
$$\mathbf{7923} := F(F(7)) \times F(9)-2+3 \;=\; 3-2+F(9) \times F(F(7))$$
$$\mathbf{7924} := F(F(7)) \times F(9)-2+4 \;=\; 4-2+F(9) \times F(F(7))$$
$$\mathbf{7925} := F(F(7)) \times F(9)-2+5 \;=\; 5-2+F(9) \times F(F(7))$$
$$\mathbf{7926} := F(F(7)) \times F(9)-2+6 \;=\; 6-2+F(9) \times F(F(7))$$
$$\mathbf{7927} := F(F(7)) \times F(9)-2+7 \;=\; 7-2+F(9) \times F(F(7))$$
$$\mathbf{7928} := F(F(7)) \times F(9)-2+8 \;=\; 8-2+F(9) \times F(F(7))$$
$$\mathbf{7929} := F(F(7)) \times F(9)-2+9 \;=\; 9-2+F(9) \times F(F(7))$$

$$\mathbf{83620} := F(F(8)-F(3)) \times (F(F(6))-F(2))+0 \;=\; 0+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$
$$\mathbf{83621} := F(F(8)-F(3)) \times (F(F(6))-F(2))+1 \;=\; 1+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$
$$\mathbf{83622} := F(F(8)-F(3)) \times (F(F(6))-F(2))+2 \;=\; 2+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$
$$\mathbf{83623} := F(F(8)-F(3)) \times (F(F(6))-F(2))+3 \;=\; 3+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$
$$\mathbf{83624} := F(F(8)-F(3)) \times (F(F(6))-F(2))+4 \;=\; 4+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$
$$\mathbf{83625} := F(F(8)-F(3)) \times (F(F(6))-F(2))+5 \;=\; 5+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$
$$\mathbf{83626} := F(F(8)-F(3)) \times (F(F(6))-F(2))+6 \;=\; 6+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$
$$\mathbf{83627} := F(F(8)-F(3)) \times (F(F(6))-F(2))+7 \;=\; 7+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$
$$\mathbf{83628} := F(F(8)-F(3)) \times (F(F(6))-F(2))+8 \;=\; 8+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$
$$\mathbf{83629} := F(F(8)-F(3)) \times (F(F(6))-F(2))+9 \;=\; 9+F(-2+F(F(6))) \times (-F(F(3))+F(8))$$

$$\mathbf{86880} := (-86+F(F(8))) \times 8+0 \;=\; 0+(F(F(8))-86) \times 8$$
$$\mathbf{86881} := (-86+F(F(8))) \times 8+1 \;=\; 1+(F(F(8))-86) \times 8$$
$$\mathbf{86882} := (-86+F(F(8))) \times 8+2 \;=\; 2+(F(F(8))-86) \times 8$$

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$$\mathbf{86883} := (-86+F(F(8)))\times 8+3 \;=\; 3+(F(F(8))-86)\times 8$$
$$\mathbf{86884} := (-86+F(F(8)))\times 8+4 \;=\; 4+(F(F(8))-86)\times 8$$
$$\mathbf{86885} := (-86+F(F(8)))\times 8+5 \;=\; 5+(F(F(8))-86)\times 8$$
$$\mathbf{86886} := (-86+F(F(8)))\times 8+6 \;=\; 6+(F(F(8))-86)\times 8$$
$$\mathbf{86887} := (-86+F(F(8)))\times 8+7 \;=\; 7+(F(F(8))-86)\times 8$$
$$\mathbf{86888} := (-86+F(F(8)))\times 8+8 \;=\; 8+(F(F(8))-86)\times 8$$
$$\mathbf{86889} := (-86+F(F(8)))\times 8+9 \;=\; 9+(F(F(8))-86)\times 8$$

$$\mathbf{87360} := (F(F(8))-F(7)\times F(3))\times F(6)+0 \;=\; 0+F(6)\times(-F(3)\times F(7)+F(F(8)))$$
$$\mathbf{87361} := (F(F(8))-F(7)\times F(3))\times F(6)+1 \;=\; 1+F(6)\times(-F(3)\times F(7)+F(F(8)))$$
$$\mathbf{87362} := (F(F(8))-F(7)\times F(3))\times F(6)+2 \;=\; 2+F(6)\times(-F(3)\times F(7)+F(F(8)))$$
$$\mathbf{87363} := (F(F(8))-F(7)\times F(3))\times F(6)+3 \;=\; 3+F(6)\times(-F(3)\times F(7)+F(F(8)))$$
$$\mathbf{87364} := (F(F(8))-F(7)\times F(3))\times F(6)+4 \;=\; 4+F(6)\times(-F(3)\times F(7)+F(F(8)))$$
$$\mathbf{87365} := (F(F(8))-F(7)\times F(3))\times F(6)+5 \;=\; 5+F(6)\times(-F(3)\times F(7)+F(F(8)))$$
$$\mathbf{87366} := (F(F(8))-F(7)\times F(3))\times F(6)+6 \;=\; 6+F(6)\times(-F(3)\times F(7)+F(F(8)))$$
$$\mathbf{87367} := (F(F(8))-F(7)\times F(3))\times F(6)+7 \;=\; 7+F(6)\times(-F(3)\times F(7)+F(F(8)))$$
$$\mathbf{87368} := (F(F(8))-F(7)\times F(3))\times F(6)+8 \;=\; 8+F(6)\times(-F(3)\times F(7)+F(F(8)))$$
$$\mathbf{87369} := (F(F(8))-F(7)\times F(3))\times F(6)+9 \;=\; 9+F(6)\times(-F(3)\times F(7)+F(F(8)))$$

$$\mathbf{87480} := (F(F(8))-7-4)\times 8+0 \;=\; 0+(F(F(8))-4-7)\times 8$$
$$\mathbf{87481} := (F(F(8))-7-4)\times 8+1 \;=\; 1+(F(F(8))-4-7)\times 8$$
$$\mathbf{87482} := (F(F(8))-7-4)\times 8+2 \;=\; 2+(F(F(8))-4-7)\times 8$$
$$\mathbf{87483} := (F(F(8))-7-4)\times 8+3 \;=\; 3+(F(F(8))-4-7)\times 8$$
$$\mathbf{87484} := (F(F(8))-7-4)\times 8+4 \;=\; 4+(F(F(8))-4-7)\times 8$$
$$\mathbf{87485} := (F(F(8))-7-4)\times 8+5 \;=\; 5+(F(F(8))-4-7)\times 8$$
$$\mathbf{87486} := (F(F(8))-7-4)\times 8+6 \;=\; 6+(F(F(8))-4-7)\times 8$$
$$\mathbf{87487} := (F(F(8))-7-4)\times 8+7 \;=\; 7+(F(F(8))-4-7)\times 8$$
$$\mathbf{87488} := (F(F(8))-7-4)\times 8+8 \;=\; 8+(F(F(8))-4-7)\times 8$$
$$\mathbf{87489} := (F(F(8))-7-4)\times 8+9 \;=\; 9+(F(F(8))-4-7)\times 8$$

$$\mathbf{87560} := (F(F(8))-F(7-5))\times F(6)+0 \;=\; 0-F(6)+(-5+F(7))\times F(F(8))$$
$$\mathbf{87561} := (F(F(8))-F(7-5))\times F(6)+1 \;=\; 1-F(6)+(-5+F(7))\times F(F(8))$$
$$\mathbf{87562} := (F(F(8))-F(7-5))\times F(6)+2 \;=\; 2-F(6)+(-5+F(7))\times F(F(8))$$
$$\mathbf{87563} := (F(F(8))-F(7-5))\times F(6)+3 \;=\; 3-F(6)+(-5+F(7))\times F(F(8))$$
$$\mathbf{87564} := (F(F(8))-F(7-5))\times F(6)+4 \;=\; 4-F(6)+(-5+F(7))\times F(F(8))$$
$$\mathbf{87565} := (F(F(8))-F(7-5))\times F(6)+5 \;=\; 5-F(6)+(-5+F(7))\times F(F(8))$$
$$\mathbf{87566} := (F(F(8))-F(7-5))\times F(6)+6 \;=\; 6-F(6)+(-5+F(7))\times F(F(8))$$
$$\mathbf{87567} := (F(F(8))-F(7-5))\times F(6)+7 \;=\; 7-F(6)+(-5+F(7))\times F(F(8))$$
$$\mathbf{87568} := (F(F(8))-F(7-5))\times F(6)+8 \;=\; 8-F(6)+(-5+F(7))\times F(F(8))$$
$$\mathbf{87569} := (F(F(8))-F(7-5))\times F(6)+9 \;=\; 9-F(6)+(-5+F(7))\times F(F(8))$$

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$$\mathbf{87640} := 8\times(7+F(F(F(6)))+F(F(4)))+0 \;=\; 0+(-4+F(F(F(6)))+F(7))\times 8$$
$$\mathbf{87641} := 8\times(7+F(F(F(6)))+F(F(4)))+1 \;=\; 1+(-4+F(F(F(6)))+F(7))\times 8$$
$$\mathbf{87642} := 8\times(7+F(F(F(6)))+F(F(4)))+2 \;=\; 2+(-4+F(F(F(6)))+F(7))\times 8$$
$$\mathbf{87643} := 8\times(7+F(F(F(6)))+F(F(4)))+3 \;=\; 3+(-4+F(F(F(6)))+F(7))\times 8$$
$$\mathbf{87644} := 8\times(7+F(F(F(6)))+F(F(4)))+4 \;=\; 4+(-4+F(F(F(6)))+F(7))\times 8$$
$$\mathbf{87645} := 8\times(7+F(F(F(6)))+F(F(4)))+5 \;=\; 5+(-4+F(F(F(6)))+F(7))\times 8$$
$$\mathbf{87646} := 8\times(7+F(F(F(6)))+F(F(4)))+6 \;=\; 6+(-4+F(F(F(6)))+F(7))\times 8$$
$$\mathbf{87647} := 8\times(7+F(F(F(6)))+F(F(4)))+7 \;=\; 7+(-4+F(F(F(6)))+F(7))\times 8$$
$$\mathbf{87648} := 8\times(7+F(F(F(6)))+F(F(4)))+8 \;=\; 8+(-4+F(F(F(6)))+F(7))\times 8$$
$$\mathbf{87649} := 8\times(7+F(F(F(6)))+F(F(4)))+9 \;=\; 9+(-4+F(F(F(6)))+F(7))\times 8$$

$$\mathbf{87680} := (F(F(8))-7+F(F(6)))\times 8+0 \;=\; 0+(F(F(8))+F(F(6))-7)\times 8$$
$$\mathbf{87681} := (F(F(8))-7+F(F(6)))\times 8+1 \;=\; 1+(F(F(8))+F(F(6))-7)\times 8$$
$$\mathbf{87682} := (F(F(8))-7+F(F(6)))\times 8+2 \;=\; 2+(F(F(8))+F(F(6))-7)\times 8$$
$$\mathbf{87683} := (F(F(8))-7+F(F(6)))\times 8+3 \;=\; 3+(F(F(8))+F(F(6))-7)\times 8$$
$$\mathbf{87684} := (F(F(8))-7+F(F(6)))\times 8+4 \;=\; 4+(F(F(8))+F(F(6))-7)\times 8$$
$$\mathbf{87685} := (F(F(8))-7+F(F(6)))\times 8+5 \;=\; 5+(F(F(8))+F(F(6))-7)\times 8$$
$$\mathbf{87686} := (F(F(8))-7+F(F(6)))\times 8+6 \;=\; 6+(F(F(8))+F(F(6))-7)\times 8$$
$$\mathbf{87687} := (F(F(8))-7+F(F(6)))\times 8+7 \;=\; 7+(F(F(8))+F(F(6))-7)\times 8$$
$$\mathbf{87688} := (F(F(8))-7+F(F(6)))\times 8+8 \;=\; 8+(F(F(8))+F(F(6))-7)\times 8$$
$$\mathbf{87689} := (F(F(8))-7+F(F(6)))\times 8+9 \;=\; 9+(F(F(8))+F(F(6))-7)\times 8$$

$$\mathbf{87840} := F(8+7)\times F(8+4)+0 \;=\; 0+F(4+8)\times F(7+8)$$
$$\mathbf{87841} := F(8+7)\times F(8+4)+1 \;=\; 1+F(4+8)\times F(7+8)$$
$$\mathbf{87842} := F(8+7)\times F(8+4)+2 \;=\; 2+F(4+8)\times F(7+8)$$
$$\mathbf{87843} := F(8+7)\times F(8+4)+3 \;=\; 3+F(4+8)\times F(7+8)$$
$$\mathbf{87844} := F(8+7)\times F(8+4)+4 \;=\; 4+F(4+8)\times F(7+8)$$
$$\mathbf{87845} := F(8+7)\times F(8+4)+5 \;=\; 5+F(4+8)\times F(7+8)$$
$$\mathbf{87846} := F(8+7)\times F(8+4)+6 \;=\; 6+F(4+8)\times F(7+8)$$
$$\mathbf{87847} := F(8+7)\times F(8+4)+7 \;=\; 7+F(4+8)\times F(7+8)$$
$$\mathbf{87848} := F(8+7)\times F(8+4)+8 \;=\; 8+F(4+8)\times F(7+8)$$
$$\mathbf{87849} := F(8+7)\times F(8+4)+9 \;=\; 9+F(4+8)\times F(7+8)$$

$$\mathbf{88450} := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+0 \;=\; 0+5\times(F((F(F(F(4)))+F(8)))-F(8))$$
$$\mathbf{88451} := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+1 \;=\; 1+5\times(F((F(F(F(4)))+F(8)))-F(8))$$
$$\mathbf{88452} := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+2 \;=\; 2+5\times(F((F(F(F(4)))+F(8)))-F(8))$$
$$\mathbf{88453} := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+3 \;=\; 3+5\times(F((F(F(F(4)))+F(8)))-F(8))$$
$$\mathbf{88454} := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+4 \;=\; 4+5\times(F((F(F(F(4)))+F(8)))-F(8))$$
$$\mathbf{88455} := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+5 \;=\; 5+5\times(F((F(F(F(4)))+F(8)))-F(8))$$

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$$88456 := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+6 = 6+5\times(F((F(F(F(4)))+F(8)))-F(8))$$
$$88457 := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+7 = 7+5\times(F((F(F(F(4)))+F(8)))-F(8))$$
$$88458 := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+8 = 8+5\times(F((F(F(F(4)))+F(8)))-F(8))$$
$$88459 := (-F(8)+F(F(8)+F(F(F(4)))))\times 5+9 = 9+5\times(F((F(F(F(4)))+F(8)))-F(8))$$

$$88720 := 8\times(F(F(8))+F(F(7)-F(2)))+0 = 0+(F(-F(2)+F(7))+F(F(8)))\times 8$$
$$88721 := 8\times(F(F(8))+F(F(7)-F(2)))+1 = 1+(F(-F(2)+F(7))+F(F(8)))\times 8$$
$$88722 := 8\times(F(F(8))+F(F(7)-F(2)))+2 = 2+(F(-F(2)+F(7))+F(F(8)))\times 8$$
$$88723 := 8\times(F(F(8))+F(F(7)-F(2)))+3 = 3+(F(-F(2)+F(7))+F(F(8)))\times 8$$
$$88724 := 8\times(F(F(8))+F(F(7)-F(2)))+4 = 4+(F(-F(2)+F(7))+F(F(8)))\times 8$$
$$88725 := 8\times(F(F(8))+F(F(7)-F(2)))+5 = 5+(F(-F(2)+F(7))+F(F(8)))\times 8$$
$$88726 := 8\times(F(F(8))+F(F(7)-F(2)))+6 = 6+(F(-F(2)+F(7))+F(F(8)))\times 8$$
$$88727 := 8\times(F(F(8))+F(F(7)-F(2)))+7 = 7+(F(-F(2)+F(7))+F(F(8)))\times 8$$
$$88728 := 8\times(F(F(8))+F(F(7)-F(2)))+8 = 8+(F(-F(2)+F(7))+F(F(8)))\times 8$$
$$88729 := 8\times(F(F(8))+F(F(7)-F(2)))+9 = 9+(F(-F(2)+F(7))+F(F(8)))\times 8$$

$$89670 := F(8)\times F(9+6)\times 7+0 = 0+7\times F(6+9)\times F(8)$$
$$89671 := F(8)\times F(9+6)\times 7+1 = 1+7\times F(6+9)\times F(8)$$
$$89672 := F(8)\times F(9+6)\times 7+2 = 2+7\times F(6+9)\times F(8)$$
$$89673 := F(8)\times F(9+6)\times 7+3 = 3+7\times F(6+9)\times F(8)$$
$$89674 := F(8)\times F(9+6)\times 7+4 = 4+7\times F(6+9)\times F(8)$$
$$89675 := F(8)\times F(9+6)\times 7+5 = 5+7\times F(6+9)\times F(8)$$
$$89676 := F(8)\times F(9+6)\times 7+6 = 6+7\times F(6+9)\times F(8)$$
$$89677 := F(8)\times F(9+6)\times 7+7 = 7+7\times F(6+9)\times F(8)$$
$$89678 := F(8)\times F(9+6)\times 7+8 = 8+7\times F(6+9)\times F(8)$$
$$89679 := F(8)\times F(9+6)\times 7+9 = 9+7\times F(6+9)\times F(8)$$

$$98370 := 9\times(F(F(8))-3-F(7))+0 = 0+(-F(7)-3+F(F(8)))\times 9$$
$$98371 := 9\times(F(F(8))-3-F(7))+1 = 1+(-F(7)-3+F(F(8)))\times 9$$
$$98372 := 9\times(F(F(8))-3-F(7))+2 = 2+(-F(7)-3+F(F(8)))\times 9$$
$$98373 := 9\times(F(F(8))-3-F(7))+3 = 3+(-F(7)-3+F(F(8)))\times 9$$
$$98374 := 9\times(F(F(8))-3-F(7))+4 = 4+(-F(7)-3+F(F(8)))\times 9$$
$$98375 := 9\times(F(F(8))-3-F(7))+5 = 5+(-F(7)-3+F(F(8)))\times 9$$
$$98376 := 9\times(F(F(8))-3-F(7))+6 = 6+(-F(7)-3+F(F(8)))\times 9$$
$$98377 := 9\times(F(F(8))-3-F(7))+7 = 7+(-F(7)-3+F(F(8)))\times 9$$
$$98378 := 9\times(F(F(8))-3-F(7))+8 = 8+(-F(7)-3+F(F(8)))\times 9$$
$$98379 := 9\times(F(F(8))-3-F(7))+9 = 9+(-F(7)-3+F(F(8)))\times 9$$

$$98460 := 9\times(F(F(8))+F(F(4))-F(6))+0 = 0+(-F(6)+F(F(4))+F(F(8)))\times 9$$
$$98461 := 9\times(F(F(8))+F(F(4))-F(6))+1 = 1+(-F(6)+F(F(4))+F(F(8)))\times 9$$

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$$98462 := 9 \times (F(F(8)) + F(F(4)) - F(6)) + 2 = 2 + (-F(6) + F(F(4)) + F(F(8))) \times 9$$
$$98463 := 9 \times (F(F(8)) + F(F(4)) - F(6)) + 3 = 3 + (-F(6) + F(F(4)) + F(F(8))) \times 9$$
$$98464 := 9 \times (F(F(8)) + F(F(4)) - F(6)) + 4 = 4 + (-F(6) + F(F(4)) + F(F(8))) \times 9$$
$$98465 := 9 \times (F(F(8)) + F(F(4)) - F(6)) + 5 = 5 + (-F(6) + F(F(4)) + F(F(8))) \times 9$$
$$98466 := 9 \times (F(F(8)) + F(F(4)) - F(6)) + 6 = 6 + (-F(6) + F(F(4)) + F(F(8))) \times 9$$
$$98467 := 9 \times (F(F(8)) + F(F(4)) - F(6)) + 7 = 7 + (-F(6) + F(F(4)) + F(F(8))) \times 9$$
$$98468 := 9 \times (F(F(8)) + F(F(4)) - F(6)) + 8 = 8 + (-F(6) + F(F(4)) + F(F(8))) \times 9$$
$$98469 := 9 \times (F(F(8)) + F(F(4)) - F(6)) + 9 = 9 + (-F(6) + F(F(4)) + F(F(8))) \times 9$$

$$98510 := 9 \times F(F(8)) - 5 + 1 + 0 = 0 + 1 - 5 + F(F(8)) \times 9$$
$$98511 := 9 \times F(F(8)) - 5 + 1 + 1 = 1 + 1 - 5 + F(F(8)) \times 9$$
$$98512 := 9 \times F(F(8)) - 5 + 1 + 2 = 2 + 1 - 5 + F(F(8)) \times 9$$
$$98513 := 9 \times F(F(8)) - 5 + 1 + 3 = 3 + 1 - 5 + F(F(8)) \times 9$$
$$98514 := 9 \times F(F(8)) - 5 + 1 + 4 = 4 + 1 - 5 + F(F(8)) \times 9$$
$$98515 := 9 \times F(F(8)) - 5 + 1 + 5 = 5 + 1 - 5 + F(F(8)) \times 9$$
$$98516 := 9 \times F(F(8)) - 5 + 1 + 6 = 6 + 1 - 5 + F(F(8)) \times 9$$
$$98517 := 9 \times F(F(8)) - 5 + 1 + 7 = 7 + 1 - 5 + F(F(8)) \times 9$$
$$98518 := 9 \times F(F(8)) - 5 + 1 + 8 = 8 + 1 - 5 + F(F(8)) \times 9$$
$$98519 := 9 \times F(F(8)) - 5 + 1 + 9 = 9 + 1 - 5 + F(F(8)) \times 9$$

$$98580 := 9 \times (F(F(8)) + 5) + F(8) + 0 = 0 + F(8) + (5 + F(F(8))) \times 9$$
$$98581 := 9 \times (F(F(8)) + 5) + F(8) + 1 = 1 + F(8) + (5 + F(F(8))) \times 9$$
$$98582 := 9 \times (F(F(8)) + 5) + F(8) + 2 = 2 + F(8) + (5 + F(F(8))) \times 9$$
$$98583 := 9 \times (F(F(8)) + 5) + F(8) + 3 = 3 + F(8) + (5 + F(F(8))) \times 9$$
$$98584 := 9 \times (F(F(8)) + 5) + F(8) + 4 = 4 + F(8) + (5 + F(F(8))) \times 9$$
$$98585 := 9 \times (F(F(8)) + 5) + F(8) + 5 = 5 + F(8) + (5 + F(F(8))) \times 9$$
$$98586 := 9 \times (F(F(8)) + 5) + F(8) + 6 = 6 + F(8) + (5 + F(F(8))) \times 9$$
$$98587 := 9 \times (F(F(8)) + 5) + F(8) + 7 = 7 + F(8) + (5 + F(F(8))) \times 9$$
$$98588 := 9 \times (F(F(8)) + 5) + F(8) + 8 = 8 + F(8) + (5 + F(F(8))) \times 9$$
$$98589 := 9 \times (F(F(8)) + 5) + F(8) + 9 = 9 + F(8) + (5 + F(F(8))) \times 9$$

$$98820 := (F(9) + F(F(8))) \times (8 + F(2)) + 0 = 0 + (F(F(2) + 8) + F(F(8))) \times 9$$
$$98821 := (F(9) + F(F(8))) \times (8 + F(2)) + 1 = 1 + (F(F(2) + 8) + F(F(8))) \times 9$$
$$98822 := (F(9) + F(F(8))) \times (8 + F(2)) + 2 = 2 + (F(F(2) + 8) + F(F(8))) \times 9$$
$$98823 := (F(9) + F(F(8))) \times (8 + F(2)) + 3 = 3 + (F(F(2) + 8) + F(F(8))) \times 9$$
$$98824 := (F(9) + F(F(8))) \times (8 + F(2)) + 4 = 4 + (F(F(2) + 8) + F(F(8))) \times 9$$
$$98825 := (F(9) + F(F(8))) \times (8 + F(2)) + 5 = 5 + (F(F(2) + 8) + F(F(8))) \times 9$$
$$98826 := (F(9) + F(F(8))) \times (8 + F(2)) + 6 = 6 + (F(F(2) + 8) + F(F(8))) \times 9$$
$$98827 := (F(9) + F(F(8))) \times (8 + F(2)) + 7 = 7 + (F(F(2) + 8) + F(F(8))) \times 9$$
$$98828 := (F(9) + F(F(8))) \times (8 + F(2)) + 8 = 8 + (F(F(2) + 8) + F(F(8))) \times 9$$

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$$\mathbf{98829} := (F(9)+F(F(8)))\times(8+F(2))+9 \;=\; 9+(F(F(2)+8)+F(F(8)))\times 9$$

$$\mathbf{121390} := -1-2+F(-1+3\times 9)+0 \;=\; 0+F(9\times 3-1)-2-1$$
$$\mathbf{121391} := -1-2+F(-1+3\times 9)+1 \;=\; 1+F(9\times 3-1)-2-1$$
$$\mathbf{121392} := -1-2+F(-1+3\times 9)+2 \;=\; 2+F(9\times 3-1)-2-1$$
$$\mathbf{121393} := -1-2+F(-1+3\times 9)+3 \;=\; 3+F(9\times 3-1)-2-1$$
$$\mathbf{121394} := -1-2+F(-1+3\times 9)+4 \;=\; 4+F(9\times 3-1)-2-1$$
$$\mathbf{121395} := -1-2+F(-1+3\times 9)+5 \;=\; 5+F(9\times 3-1)-2-1$$
$$\mathbf{121396} := -1-2+F(-1+3\times 9)+6 \;=\; 6+F(9\times 3-1)-2-1$$
$$\mathbf{121397} := -1-2+F(-1+3\times 9)+7 \;=\; 7+F(9\times 3-1)-2-1$$
$$\mathbf{121398} := -1-2+F(-1+3\times 9)+8 \;=\; 8+F(9\times 3-1)-2-1$$
$$\mathbf{121399} := -1-2+F(-1+3\times 9)+9 \;=\; 9+F(9\times 3-1)-2-1$$

$$\mathbf{159390} := (-1+F(-5+9\times 3))\times 9+0 \;=\; 0+9\times(F(3\times 9-5)-1)$$
$$\mathbf{159391} := (-1+F(-5+9\times 3))\times 9+1 \;=\; 1+9\times(F(3\times 9-5)-1)$$
$$\mathbf{159392} := (-1+F(-5+9\times 3))\times 9+2 \;=\; 2+9\times(F(3\times 9-5)-1)$$
$$\mathbf{159393} := (-1+F(-5+9\times 3))\times 9+3 \;=\; 3+9\times(F(3\times 9-5)-1)$$
$$\mathbf{159394} := (-1+F(-5+9\times 3))\times 9+4 \;=\; 4+9\times(F(3\times 9-5)-1)$$
$$\mathbf{159395} := (-1+F(-5+9\times 3))\times 9+5 \;=\; 5+9\times(F(3\times 9-5)-1)$$
$$\mathbf{159396} := (-1+F(-5+9\times 3))\times 9+6 \;=\; 6+9\times(F(3\times 9-5)-1)$$
$$\mathbf{159397} := (-1+F(-5+9\times 3))\times 9+7 \;=\; 7+9\times(F(3\times 9-5)-1)$$
$$\mathbf{159398} := (-1+F(-5+9\times 3))\times 9+8 \;=\; 8+9\times(F(3\times 9-5)-1)$$
$$\mathbf{159399} := (-1+F(-5+9\times 3))\times 9+9 \;=\; 9+9\times(F(3\times 9-5)-1)$$

$$\mathbf{196390} := -1\times F(9)+6+F(3\times 9)+0 \;=\; 0+F(9\times 3)+6-F(9)\times 1$$
$$\mathbf{196391} := -1\times F(9)+6+F(3\times 9)+1 \;=\; 1+F(9\times 3)+6-F(9)\times 1$$
$$\mathbf{196392} := -1\times F(9)+6+F(3\times 9)+2 \;=\; 2+F(9\times 3)+6-F(9)\times 1$$
$$\mathbf{196393} := -1\times F(9)+6+F(3\times 9)+3 \;=\; 3+F(9\times 3)+6-F(9)\times 1$$
$$\mathbf{196394} := -1\times F(9)+6+F(3\times 9)+4 \;=\; 4+F(9\times 3)+6-F(9)\times 1$$
$$\mathbf{196395} := -1\times F(9)+6+F(3\times 9)+5 \;=\; 5+F(9\times 3)+6-F(9)\times 1$$
$$\mathbf{196396} := -1\times F(9)+6+F(3\times 9)+6 \;=\; 6+F(9\times 3)+6-F(9)\times 1$$
$$\mathbf{196397} := -1\times F(9)+6+F(3\times 9)+7 \;=\; 7+F(9\times 3)+6-F(9)\times 1$$
$$\mathbf{196398} := -1\times F(9)+6+F(3\times 9)+8 \;=\; 8+F(9\times 3)+6-F(9)\times 1$$
$$\mathbf{196399} := -1\times F(9)+6+F(3\times 9)+9 \;=\; 9+F(9\times 3)+6-F(9)\times 1$$

$$\mathbf{202890} := (F(20)-2)\times(F(8)+9)+0 \;=\; 0+(9+F(8))\times(F(20)-2)$$
$$\mathbf{202891} := (F(20)-2)\times(F(8)+9)+1 \;=\; 1+(9+F(8))\times(F(20)-2)$$
$$\mathbf{202892} := (F(20)-2)\times(F(8)+9)+2 \;=\; 2+(9+F(8))\times(F(20)-2)$$
$$\mathbf{202893} := (F(20)-2)\times(F(8)+9)+3 \;=\; 3+(9+F(8))\times(F(20)-2)$$
$$\mathbf{202894} := (F(20)-2)\times(F(8)+9)+4 \;=\; 4+(9+F(8))\times(F(20)-2)$$

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$$\mathbf{202895} := (F(20)-2)\times(F(8)+9)+5 \;=\; 5+(9+F(8))\times(F(20)-2)$$
$$\mathbf{202896} := (F(20)-2)\times(F(8)+9)+6 \;=\; 6+(9+F(8))\times(F(20)-2)$$
$$\mathbf{202897} := (F(20)-2)\times(F(8)+9)+7 \;=\; 7+(9+F(8))\times(F(20)-2)$$
$$\mathbf{202898} := (F(20)-2)\times(F(8)+9)+8 \;=\; 8+(9+F(8))\times(F(20)-2)$$
$$\mathbf{202899} := (F(20)-2)\times(F(8)+9)+9 \;=\; 9+(9+F(8))\times(F(20)-2)$$

$$\mathbf{202980} := (F(20)+F(2))\times(9+F(8))+0 \;=\; 0+(F(8)+9)\times(F(20)+F(2))$$
$$\mathbf{202981} := (F(20)+F(2))\times(9+F(8))+1 \;=\; 1+(F(8)+9)\times(F(20)+F(2))$$
$$\mathbf{202982} := (F(20)+F(2))\times(9+F(8))+2 \;=\; 2+(F(8)+9)\times(F(20)+F(2))$$
$$\mathbf{202983} := (F(20)+F(2))\times(9+F(8))+3 \;=\; 3+(F(8)+9)\times(F(20)+F(2))$$
$$\mathbf{202984} := (F(20)+F(2))\times(9+F(8))+4 \;=\; 4+(F(8)+9)\times(F(20)+F(2))$$
$$\mathbf{202985} := (F(20)+F(2))\times(9+F(8))+5 \;=\; 5+(F(8)+9)\times(F(20)+F(2))$$
$$\mathbf{202986} := (F(20)+F(2))\times(9+F(8))+6 \;=\; 6+(F(8)+9)\times(F(20)+F(2))$$
$$\mathbf{202987} := (F(20)+F(2))\times(9+F(8))+7 \;=\; 7+(F(8)+9)\times(F(20)+F(2))$$
$$\mathbf{202988} := (F(20)+F(2))\times(9+F(8))+8 \;=\; 8+(F(8)+9)\times(F(20)+F(2))$$
$$\mathbf{202989} := (F(20)+F(2))\times(9+F(8))+9 \;=\; 9+(F(8)+9)\times(F(20)+F(2))$$

$$\mathbf{229780} := (F(22)-F(9))\times F(7)-F(8)+0 \;=\; 0-F(8)+F(7)\times(-F(9)+F(22))$$
$$\mathbf{229781} := (F(22)-F(9))\times F(7)-F(8)+1 \;=\; 1-F(8)+F(7)\times(-F(9)+F(22))$$
$$\mathbf{229782} := (F(22)-F(9))\times F(7)-F(8)+2 \;=\; 2-F(8)+F(7)\times(-F(9)+F(22))$$
$$\mathbf{229783} := (F(22)-F(9))\times F(7)-F(8)+3 \;=\; 3-F(8)+F(7)\times(-F(9)+F(22))$$
$$\mathbf{229784} := (F(22)-F(9))\times F(7)-F(8)+4 \;=\; 4-F(8)+F(7)\times(-F(9)+F(22))$$
$$\mathbf{229785} := (F(22)-F(9))\times F(7)-F(8)+5 \;=\; 5-F(8)+F(7)\times(-F(9)+F(22))$$
$$\mathbf{229786} := (F(22)-F(9))\times F(7)-F(8)+6 \;=\; 6-F(8)+F(7)\times(-F(9)+F(22))$$
$$\mathbf{229787} := (F(22)-F(9))\times F(7)-F(8)+7 \;=\; 7-F(8)+F(7)\times(-F(9)+F(22))$$
$$\mathbf{229788} := (F(22)-F(9))\times F(7)-F(8)+8 \;=\; 8-F(8)+F(7)\times(-F(9)+F(22))$$
$$\mathbf{229789} := (F(22)-F(9))\times F(7)-F(8)+9 \;=\; 9-F(8)+F(7)\times(-F(9)+F(22))$$

$$\mathbf{231850} := (2+F(3\times1\times8))\times5+0 \;=\; 0+5\times(F(8\times1\times3)+2)$$
$$\mathbf{231851} := (2+F(3\times1\times8))\times5+1 \;=\; 1+5\times(F(8\times1\times3)+2)$$
$$\mathbf{231852} := (2+F(3\times1\times8))\times5+2 \;=\; 2+5\times(F(8\times1\times3)+2)$$
$$\mathbf{231853} := (2+F(3\times1\times8))\times5+3 \;=\; 3+5\times(F(8\times1\times3)+2)$$
$$\mathbf{231854} := (2+F(3\times1\times8))\times5+4 \;=\; 4+5\times(F(8\times1\times3)+2)$$
$$\mathbf{231855} := (2+F(3\times1\times8))\times5+5 \;=\; 5+5\times(F(8\times1\times3)+2)$$
$$\mathbf{231856} := (2+F(3\times1\times8))\times5+6 \;=\; 6+5\times(F(8\times1\times3)+2)$$
$$\mathbf{231857} := (2+F(3\times1\times8))\times5+7 \;=\; 7+5\times(F(8\times1\times3)+2)$$
$$\mathbf{231858} := (2+F(3\times1\times8))\times5+8 \;=\; 8+5\times(F(8\times1\times3)+2)$$
$$\mathbf{231859} := (2+F(3\times1\times8))\times5+9 \;=\; 9+5\times(F(8\times1\times3)+2)$$

$$\mathbf{243540} := (2+4)^{F(3)}\times F(5\times4)+0 \;=\; 0+F(4\times5)\times(34+2)$$

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$$\mathbf{243541} := (2+4)^{F(3)} \times F(5\times 4)+1 \;=\; 1+F(4\times 5)\times(34+2)$$
$$\mathbf{243542} := (2+4)^{F(3)} \times F(5\times 4)+2 \;=\; 2+F(4\times 5)\times(34+2)$$
$$\mathbf{243543} := (2+4)^{F(3)} \times F(5\times 4)+3 \;=\; 3+F(4\times 5)\times(34+2)$$
$$\mathbf{243544} := (2+4)^{F(3)} \times F(5\times 4)+4 \;=\; 4+F(4\times 5)\times(34+2)$$
$$\mathbf{243545} := (2+4)^{F(3)} \times F(5\times 4)+5 \;=\; 5+F(4\times 5)\times(34+2)$$
$$\mathbf{243546} := (2+4)^{F(3)} \times F(5\times 4)+6 \;=\; 6+F(4\times 5)\times(34+2)$$
$$\mathbf{243547} := (2+4)^{F(3)} \times F(5\times 4)+7 \;=\; 7+F(4\times 5)\times(34+2)$$
$$\mathbf{243548} := (2+4)^{F(3)} \times F(5\times 4)+8 \;=\; 8+F(4\times 5)\times(34+2)$$
$$\mathbf{243549} := (2+4)^{F(3)} \times F(5\times 4)+9 \;=\; 9+F(4\times 5)\times(34+2)$$

$$\mathbf{269280} := F(2\times 6)\times F(9)\times F(2+8)+0 \;=\; 0+F(8+2)\times F(9)\times F(6\times 2)$$
$$\mathbf{269281} := F(2\times 6)\times F(9)\times F(2+8)+1 \;=\; 1+F(8+2)\times F(9)\times F(6\times 2)$$
$$\mathbf{269282} := F(2\times 6)\times F(9)\times F(2+8)+2 \;=\; 2+F(8+2)\times F(9)\times F(6\times 2)$$
$$\mathbf{269283} := F(2\times 6)\times F(9)\times F(2+8)+3 \;=\; 3+F(8+2)\times F(9)\times F(6\times 2)$$
$$\mathbf{269284} := F(2\times 6)\times F(9)\times F(2+8)+4 \;=\; 4+F(8+2)\times F(9)\times F(6\times 2)$$
$$\mathbf{269285} := F(2\times 6)\times F(9)\times F(2+8)+5 \;=\; 5+F(8+2)\times F(9)\times F(6\times 2)$$
$$\mathbf{269286} := F(2\times 6)\times F(9)\times F(2+8)+6 \;=\; 6+F(8+2)\times F(9)\times F(6\times 2)$$
$$\mathbf{269287} := F(2\times 6)\times F(9)\times F(2+8)+7 \;=\; 7+F(8+2)\times F(9)\times F(6\times 2)$$
$$\mathbf{269288} := F(2\times 6)\times F(9)\times F(2+8)+8 \;=\; 8+F(8+2)\times F(9)\times F(6\times 2)$$
$$\mathbf{269289} := F(2\times 6)\times F(9)\times F(2+8)+9 \;=\; 9+F(8+2)\times F(9)\times F(6\times 2)$$

$$\mathbf{286570} := (2+8)\times F(6\times 5-7)+0 \;=\; 0+F(-7+5\times 6)\times(8+2)$$
$$\mathbf{286571} := (2+8)\times F(6\times 5-7)+1 \;=\; 1+F(-7+5\times 6)\times(8+2)$$
$$\mathbf{286572} := (2+8)\times F(6\times 5-7)+2 \;=\; 2+F(-7+5\times 6)\times(8+2)$$
$$\mathbf{286573} := (2+8)\times F(6\times 5-7)+3 \;=\; 3+F(-7+5\times 6)\times(8+2)$$
$$\mathbf{286574} := (2+8)\times F(6\times 5-7)+4 \;=\; 4+F(-7+5\times 6)\times(8+2)$$
$$\mathbf{286575} := (2+8)\times F(6\times 5-7)+5 \;=\; 5+F(-7+5\times 6)\times(8+2)$$
$$\mathbf{286576} := (2+8)\times F(6\times 5-7)+6 \;=\; 6+F(-7+5\times 6)\times(8+2)$$
$$\mathbf{286577} := (2+8)\times F(6\times 5-7)+7 \;=\; 7+F(-7+5\times 6)\times(8+2)$$
$$\mathbf{286578} := (2+8)\times F(6\times 5-7)+8 \;=\; 8+F(-7+5\times 6)\times(8+2)$$
$$\mathbf{286579} := (2+8)\times F(6\times 5-7)+9 \;=\; 9+F(-7+5\times 6)\times(8+2)$$

$$\mathbf{317790} := F((3+1)\times 7)+F(7)-F(9)+0 \;=\; 0-F(9)+F(7)+F(7\times(1+3))$$
$$\mathbf{317791} := F((3+1)\times 7)+F(7)-F(9)+1 \;=\; 1-F(9)+F(7)+F(7\times(1+3))$$
$$\mathbf{317792} := F((3+1)\times 7)+F(7)-F(9)+2 \;=\; 2-F(9)+F(7)+F(7\times(1+3))$$
$$\mathbf{317793} := F((3+1)\times 7)+F(7)-F(9)+3 \;=\; 3-F(9)+F(7)+F(7\times(1+3))$$
$$\mathbf{317794} := F((3+1)\times 7)+F(7)-F(9)+4 \;=\; 4-F(9)+F(7)+F(7\times(1+3))$$
$$\mathbf{317795} := F((3+1)\times 7)+F(7)-F(9)+5 \;=\; 5-F(9)+F(7)+F(7\times(1+3))$$
$$\mathbf{317796} := F((3+1)\times 7)+F(7)-F(9)+6 \;=\; 6-F(9)+F(7)+F(7\times(1+3))$$

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$$\mathbf{317797} := F((3+1)\times 7)+F(7)-F(9)+7 = 7-F(9)+F(7)+F(7\times(1+3))$$
$$\mathbf{317798} := F((3+1)\times 7)+F(7)-F(9)+8 = 8-F(9)+F(7)+F(7\times(1+3))$$
$$\mathbf{317799} := F((3+1)\times 7)+F(7)-F(9)+9 = 9-F(9)+F(7)+F(7\times(1+3))$$

$$\mathbf{317830} := F((3+1)\times 7)+F(8)-F(3)+0 = 0-F(3)+F(8)+F(7\times(1+3))$$
$$\mathbf{317831} := F((3+1)\times 7)+F(8)-F(3)+1 = 1-F(3)+F(8)+F(7\times(1+3))$$
$$\mathbf{317832} := F((3+1)\times 7)+F(8)-F(3)+2 = 2-F(3)+F(8)+F(7\times(1+3))$$
$$\mathbf{317833} := F((3+1)\times 7)+F(8)-F(3)+3 = 3-F(3)+F(8)+F(7\times(1+3))$$
$$\mathbf{317834} := F((3+1)\times 7)+F(8)-F(3)+4 = 4-F(3)+F(8)+F(7\times(1+3))$$
$$\mathbf{317835} := F((3+1)\times 7)+F(8)-F(3)+5 = 5-F(3)+F(8)+F(7\times(1+3))$$
$$\mathbf{317836} := F((3+1)\times 7)+F(8)-F(3)+6 = 6-F(3)+F(8)+F(7\times(1+3))$$
$$\mathbf{317837} := F((3+1)\times 7)+F(8)-F(3)+7 = 7-F(3)+F(8)+F(7\times(1+3))$$
$$\mathbf{317838} := F((3+1)\times 7)+F(8)-F(3)+8 = 8-F(3)+F(8)+F(7\times(1+3))$$
$$\mathbf{317839} := F((3+1)\times 7)+F(8)-F(3)+9 = 9-F(3)+F(8)+F(7\times(1+3))$$

$$\mathbf{368360} := -F(3\times 6)+F(8\times 3)\times F(6)+0 = 0+F(6)\times F(3\times 8)-F(6\times 3)$$
$$\mathbf{368361} := -F(3\times 6)+F(8\times 3)\times F(6)+1 = 1+F(6)\times F(3\times 8)-F(6\times 3)$$
$$\mathbf{368362} := -F(3\times 6)+F(8\times 3)\times F(6)+2 = 2+F(6)\times F(3\times 8)-F(6\times 3)$$
$$\mathbf{368363} := -F(3\times 6)+F(8\times 3)\times F(6)+3 = 3+F(6)\times F(3\times 8)-F(6\times 3)$$
$$\mathbf{368364} := -F(3\times 6)+F(8\times 3)\times F(6)+4 = 4+F(6)\times F(3\times 8)-F(6\times 3)$$
$$\mathbf{368365} := -F(3\times 6)+F(8\times 3)\times F(6)+5 = 5+F(6)\times F(3\times 8)-F(6\times 3)$$
$$\mathbf{368366} := -F(3\times 6)+F(8\times 3)\times F(6)+6 = 6+F(6)\times F(3\times 8)-F(6\times 3)$$
$$\mathbf{368367} := -F(3\times 6)+F(8\times 3)\times F(6)+7 = 7+F(6)\times F(3\times 8)-F(6\times 3)$$
$$\mathbf{368368} := -F(3\times 6)+F(8\times 3)\times F(6)+8 = 8+F(6)\times F(3\times 8)-F(6\times 3)$$
$$\mathbf{368369} := -F(3\times 6)+F(8\times 3)\times F(6)+9 = 9+F(6)\times F(3\times 8)-F(6\times 3)$$

$$\mathbf{372020} := F(3+7)\times(F(20)-F(2))+0 = 0+(F(20)-F(2))\times F(7+3)$$
$$\mathbf{372021} := F(3+7)\times(F(20)-F(2))+1 = 1+(F(20)-F(2))\times F(7+3)$$
$$\mathbf{372022} := F(3+7)\times(F(20)-F(2))+2 = 2+(F(20)-F(2))\times F(7+3)$$
$$\mathbf{372023} := F(3+7)\times(F(20)-F(2))+3 = 3+(F(20)-F(2))\times F(7+3)$$
$$\mathbf{372024} := F(3+7)\times(F(20)-F(2))+4 = 4+(F(20)-F(2))\times F(7+3)$$
$$\mathbf{372025} := F(3+7)\times(F(20)-F(2))+5 = 5+(F(20)-F(2))\times F(7+3)$$
$$\mathbf{372026} := F(3+7)\times(F(20)-F(2))+6 = 6+(F(20)-F(2))\times F(7+3)$$
$$\mathbf{372027} := F(3+7)\times(F(20)-F(2))+7 = 7+(F(20)-F(2))\times F(7+3)$$
$$\mathbf{372028} := F(3+7)\times(F(20)-F(2))+8 = 8+(F(20)-F(2))\times F(7+3)$$
$$\mathbf{372029} := F(3+7)\times(F(20)-F(2))+9 = 9+(F(20)-F(2))\times F(7+3)$$

$$\mathbf{392780} := F(3\times 9)\times 2-7\times 8+0 = 0-8\times 7+2\times F(9\times 3)$$
$$\mathbf{392781} := F(3\times 9)\times 2-7\times 8+1 = 1-8\times 7+2\times F(9\times 3)$$
$$\mathbf{392782} := F(3\times 9)\times 2-7\times 8+2 = 2-8\times 7+2\times F(9\times 3)$$

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$$\mathbf{392783} := F(3\times 9)\times 2-7\times 8+3 \;=\; 3-8\times 7+2\times F(9\times 3)$$
$$\mathbf{392784} := F(3\times 9)\times 2-7\times 8+4 \;=\; 4-8\times 7+2\times F(9\times 3)$$
$$\mathbf{392785} := F(3\times 9)\times 2-7\times 8+5 \;=\; 5-8\times 7+2\times F(9\times 3)$$
$$\mathbf{392786} := F(3\times 9)\times 2-7\times 8+6 \;=\; 6-8\times 7+2\times F(9\times 3)$$
$$\mathbf{392787} := F(3\times 9)\times 2-7\times 8+7 \;=\; 7-8\times 7+2\times F(9\times 3)$$
$$\mathbf{392788} := F(3\times 9)\times 2-7\times 8+8 \;=\; 8-8\times 7+2\times F(9\times 3)$$
$$\mathbf{392789} := F(3\times 9)\times 2-7\times 8+9 \;=\; 9-8\times 7+2\times F(9\times 3)$$

$$\mathbf{392820} := F(3\times 9)\times 2-8\times 2+0 \;=\; 0-2\times 8+2\times F(9\times 3)$$
$$\mathbf{392821} := F(3\times 9)\times 2-8\times 2+1 \;=\; 1-2\times 8+2\times F(9\times 3)$$
$$\mathbf{392822} := F(3\times 9)\times 2-8\times 2+2 \;=\; 2-2\times 8+2\times F(9\times 3)$$
$$\mathbf{392823} := F(3\times 9)\times 2-8\times 2+3 \;=\; 3-2\times 8+2\times F(9\times 3)$$
$$\mathbf{392824} := F(3\times 9)\times 2-8\times 2+4 \;=\; 4-2\times 8+2\times F(9\times 3)$$
$$\mathbf{392825} := F(3\times 9)\times 2-8\times 2+5 \;=\; 5-2\times 8+2\times F(9\times 3)$$
$$\mathbf{392826} := F(3\times 9)\times 2-8\times 2+6 \;=\; 6-2\times 8+2\times F(9\times 3)$$
$$\mathbf{392827} := F(3\times 9)\times 2-8\times 2+7 \;=\; 7-2\times 8+2\times F(9\times 3)$$
$$\mathbf{392828} := F(3\times 9)\times 2-8\times 2+8 \;=\; 8-2\times 8+2\times F(9\times 3)$$
$$\mathbf{392829} := F(3\times 9)\times 2-8\times 2+9 \;=\; 9-2\times 8+2\times F(9\times 3)$$

$$\mathbf{392830} := F(3\times 9)\times 2-8+F(3)+0 \;=\; 0+F(3)-8+2\times F(9\times 3)$$
$$\mathbf{392831} := F(3\times 9)\times 2-8+F(3)+1 \;=\; 1+F(3)-8+2\times F(9\times 3)$$
$$\mathbf{392832} := F(3\times 9)\times 2-8+F(3)+2 \;=\; 2+F(3)-8+2\times F(9\times 3)$$
$$\mathbf{392833} := F(3\times 9)\times 2-8+F(3)+3 \;=\; 3+F(3)-8+2\times F(9\times 3)$$
$$\mathbf{392834} := F(3\times 9)\times 2-8+F(3)+4 \;=\; 4+F(3)-8+2\times F(9\times 3)$$
$$\mathbf{392835} := F(3\times 9)\times 2-8+F(3)+5 \;=\; 5+F(3)-8+2\times F(9\times 3)$$
$$\mathbf{392836} := F(3\times 9)\times 2-8+F(3)+6 \;=\; 6+F(3)-8+2\times F(9\times 3)$$
$$\mathbf{392837} := F(3\times 9)\times 2-8+F(3)+7 \;=\; 7+F(3)-8+2\times F(9\times 3)$$
$$\mathbf{392838} := F(3\times 9)\times 2-8+F(3)+8 \;=\; 8+F(3)-8+2\times F(9\times 3)$$
$$\mathbf{392839} := F(3\times 9)\times 2-8+F(3)+9 \;=\; 9+F(3)-8+2\times F(9\times 3)$$

$$\mathbf{392840} := F(3\times 9)\times 2+8-4+0 \;=\; 0-4+8+2\times F(9\times 3)$$
$$\mathbf{392841} := F(3\times 9)\times 2+8-4+1 \;=\; 1-4+8+2\times F(9\times 3)$$
$$\mathbf{392842} := F(3\times 9)\times 2+8-4+2 \;=\; 2-4+8+2\times F(9\times 3)$$
$$\mathbf{392843} := F(3\times 9)\times 2+8-4+3 \;=\; 3-4+8+2\times F(9\times 3)$$
$$\mathbf{392844} := F(3\times 9)\times 2+8-4+4 \;=\; 4-4+8+2\times F(9\times 3)$$
$$\mathbf{392845} := F(3\times 9)\times 2+8-4+5 \;=\; 5-4+8+2\times F(9\times 3)$$
$$\mathbf{392846} := F(3\times 9)\times 2+8-4+6 \;=\; 6-4+8+2\times F(9\times 3)$$
$$\mathbf{392847} := F(3\times 9)\times 2+8-4+7 \;=\; 7-4+8+2\times F(9\times 3)$$
$$\mathbf{392848} := F(3\times 9)\times 2+8-4+8 \;=\; 8-4+8+2\times F(9\times 3)$$
$$\mathbf{392849} := F(3\times 9)\times 2+8-4+9 \;=\; 9-4+8+2\times F(9\times 3)$$

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$$\mathbf{392870} := F(3\times 9)\times 2+F(8)+F(7)+0 \;=\; 0+F(7)+F(8)+2\times F(9\times 3)$$
$$\mathbf{392871} := F(3\times 9)\times 2+F(8)+F(7)+1 \;=\; 1+F(7)+F(8)+2\times F(9\times 3)$$
$$\mathbf{392872} := F(3\times 9)\times 2+F(8)+F(7)+2 \;=\; 2+F(7)+F(8)+2\times F(9\times 3)$$
$$\mathbf{392873} := F(3\times 9)\times 2+F(8)+F(7)+3 \;=\; 3+F(7)+F(8)+2\times F(9\times 3)$$
$$\mathbf{392874} := F(3\times 9)\times 2+F(8)+F(7)+4 \;=\; 4+F(7)+F(8)+2\times F(9\times 3)$$
$$\mathbf{392875} := F(3\times 9)\times 2+F(8)+F(7)+5 \;=\; 5+F(7)+F(8)+2\times F(9\times 3)$$
$$\mathbf{392876} := F(3\times 9)\times 2+F(8)+F(7)+6 \;=\; 6+F(7)+F(8)+2\times F(9\times 3)$$
$$\mathbf{392877} := F(3\times 9)\times 2+F(8)+F(7)+7 \;=\; 7+F(7)+F(8)+2\times F(9\times 3)$$
$$\mathbf{392878} := F(3\times 9)\times 2+F(8)+F(7)+8 \;=\; 8+F(7)+F(8)+2\times F(9\times 3)$$
$$\mathbf{392879} := F(3\times 9)\times 2+F(8)+F(7)+9 \;=\; 9+F(7)+F(8)+2\times F(9\times 3)$$

$$\mathbf{393590} := F(3)\times(F(9\times 3)+F(5+9))+0 \;=\; 0+(F(9+5)+F(3\times 9))\times F(3)$$
$$\mathbf{393591} := F(3)\times(F(9\times 3)+F(5+9))+1 \;=\; 1+(F(9+5)+F(3\times 9))\times F(3)$$
$$\mathbf{393592} := F(3)\times(F(9\times 3)+F(5+9))+2 \;=\; 2+(F(9+5)+F(3\times 9))\times F(3)$$
$$\mathbf{393593} := F(3)\times(F(9\times 3)+F(5+9))+3 \;=\; 3+(F(9+5)+F(3\times 9))\times F(3)$$
$$\mathbf{393594} := F(3)\times(F(9\times 3)+F(5+9))+4 \;=\; 4+(F(9+5)+F(3\times 9))\times F(3)$$
$$\mathbf{393595} := F(3)\times(F(9\times 3)+F(5+9))+5 \;=\; 5+(F(9+5)+F(3\times 9))\times F(3)$$
$$\mathbf{393596} := F(3)\times(F(9\times 3)+F(5+9))+6 \;=\; 6+(F(9+5)+F(3\times 9))\times F(3)$$
$$\mathbf{393597} := F(3)\times(F(9\times 3)+F(5+9))+7 \;=\; 7+(F(9+5)+F(3\times 9))\times F(3)$$
$$\mathbf{393598} := F(3)\times(F(9\times 3)+F(5+9))+8 \;=\; 8+(F(9+5)+F(3\times 9))\times F(3)$$
$$\mathbf{393599} := F(3)\times(F(9\times 3)+F(5+9))+9 \;=\; 9+(F(9+5)+F(3\times 9))\times F(3)$$

$$\mathbf{437960} := (F(4)+F(3\times 7))\times(F(9)+6)+0 \;=\; 0+(6+F(9))\times(F(7\times 3)+F(4))$$
$$\mathbf{437961} := (F(4)+F(3\times 7))\times(F(9)+6)+1 \;=\; 1+(6+F(9))\times(F(7\times 3)+F(4))$$
$$\mathbf{437962} := (F(4)+F(3\times 7))\times(F(9)+6)+2 \;=\; 2+(6+F(9))\times(F(7\times 3)+F(4))$$
$$\mathbf{437963} := (F(4)+F(3\times 7))\times(F(9)+6)+3 \;=\; 3+(6+F(9))\times(F(7\times 3)+F(4))$$
$$\mathbf{437964} := (F(4)+F(3\times 7))\times(F(9)+6)+4 \;=\; 4+(6+F(9))\times(F(7\times 3)+F(4))$$
$$\mathbf{437965} := (F(4)+F(3\times 7))\times(F(9)+6)+5 \;=\; 5+(6+F(9))\times(F(7\times 3)+F(4))$$
$$\mathbf{437966} := (F(4)+F(3\times 7))\times(F(9)+6)+6 \;=\; 6+(6+F(9))\times(F(7\times 3)+F(4))$$
$$\mathbf{437967} := (F(4)+F(3\times 7))\times(F(9)+6)+7 \;=\; 7+(6+F(9))\times(F(7\times 3)+F(4))$$
$$\mathbf{437968} := (F(4)+F(3\times 7))\times(F(9)+6)+8 \;=\; 8+(6+F(9))\times(F(7\times 3)+F(4))$$
$$\mathbf{437969} := (F(4)+F(3\times 7))\times(F(9)+6)+9 \;=\; 9+(6+F(9))\times(F(7\times 3)+F(4))$$

$$\mathbf{444690} := (F(4)\times F(4))^{F(4)}\times F(6+9)+0 \;=\; 0+F(9+6)\times(F(4)\times F(4))^{F(4)}$$
$$\mathbf{444691} := (F(4)\times F(4))^{F(4)}\times F(6+9)+1 \;=\; 1+F(9+6)\times(F(4)\times F(4))^{F(4)}$$
$$\mathbf{444692} := (F(4)\times F(4))^{F(4)}\times F(6+9)+2 \;=\; 2+F(9+6)\times(F(4)\times F(4))^{F(4)}$$
$$\mathbf{444693} := (F(4)\times F(4))^{F(4)}\times F(6+9)+3 \;=\; 3+F(9+6)\times(F(4)\times F(4))^{F(4)}$$
$$\mathbf{444694} := (F(4)\times F(4))^{F(4)}\times F(6+9)+4 \;=\; 4+F(9+6)\times(F(4)\times F(4))^{F(4)}$$

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$$\mathbf{444695} := (F(4)\times F(4))^{F(4)}\times F(6+9)+5 = 5+F(9+6)\times(F(4)\times F(4))^{F(4)}$$
$$\mathbf{444696} := (F(4)\times F(4))^{F(4)}\times F(6+9)+6 = 6+F(9+6)\times(F(4)\times F(4))^{F(4)}$$
$$\mathbf{444697} := (F(4)\times F(4))^{F(4)}\times F(6+9)+7 = 7+F(9+6)\times(F(4)\times F(4))^{F(4)}$$
$$\mathbf{444698} := (F(4)\times F(4))^{F(4)}\times F(6+9)+8 = 8+F(9+6)\times(F(4)\times F(4))^{F(4)}$$
$$\mathbf{444699} := (F(4)\times F(4))^{F(4)}\times F(6+9)+9 = 9+F(9+6)\times(F(4)\times F(4))^{F(4)}$$

$$\mathbf{463650} := (F(4\times 6)\times F(3)-6)\times 5+0 = 0+5\times(-6+F(3)\times F(6\times 4))$$
$$\mathbf{463651} := (F(4\times 6)\times F(3)-6)\times 5+1 = 1+5\times(-6+F(3)\times F(6\times 4))$$
$$\mathbf{463652} := (F(4\times 6)\times F(3)-6)\times 5+2 = 2+5\times(-6+F(3)\times F(6\times 4))$$
$$\mathbf{463653} := (F(4\times 6)\times F(3)-6)\times 5+3 = 3+5\times(-6+F(3)\times F(6\times 4))$$
$$\mathbf{463654} := (F(4\times 6)\times F(3)-6)\times 5+4 = 4+5\times(-6+F(3)\times F(6\times 4))$$
$$\mathbf{463655} := (F(4\times 6)\times F(3)-6)\times 5+5 = 5+5\times(-6+F(3)\times F(6\times 4))$$
$$\mathbf{463656} := (F(4\times 6)\times F(3)-6)\times 5+6 = 6+5\times(-6+F(3)\times F(6\times 4))$$
$$\mathbf{463657} := (F(4\times 6)\times F(3)-6)\times 5+7 = 7+5\times(-6+F(3)\times F(6\times 4))$$
$$\mathbf{463658} := (F(4\times 6)\times F(3)-6)\times 5+8 = 8+5\times(-6+F(3)\times F(6\times 4))$$
$$\mathbf{463659} := (F(4\times 6)\times F(3)-6)\times 5+9 = 9+5\times(-6+F(3)\times F(6\times 4))$$

$$\mathbf{463680} := F(4\times 6)\times(3\times 6-8)+0 = 0+(8+6/3)\times F(6\times 4)$$
$$\mathbf{463681} := F(4\times 6)\times(3\times 6-8)+1 = 1+(8+6/3)\times F(6\times 4)$$
$$\mathbf{463682} := F(4\times 6)\times(3\times 6-8)+2 = 2+(8+6/3)\times F(6\times 4)$$
$$\mathbf{463683} := F(4\times 6)\times(3\times 6-8)+3 = 3+(8+6/3)\times F(6\times 4)$$
$$\mathbf{463684} := F(4\times 6)\times(3\times 6-8)+4 = 4+(8+6/3)\times F(6\times 4)$$
$$\mathbf{463685} := F(4\times 6)\times(3\times 6-8)+5 = 5+(8+6/3)\times F(6\times 4)$$
$$\mathbf{463686} := F(4\times 6)\times(3\times 6-8)+6 = 6+(8+6/3)\times F(6\times 4)$$
$$\mathbf{463687} := F(4\times 6)\times(3\times 6-8)+7 = 7+(8+6/3)\times F(6\times 4)$$
$$\mathbf{463688} := F(4\times 6)\times(3\times 6-8)+8 = 8+(8+6/3)\times F(6\times 4)$$
$$\mathbf{463689} := F(4\times 6)\times(3\times 6-8)+9 = 9+(8+6/3)\times F(6\times 4)$$

$$\mathbf{466530} := (-F(4)+6^6)\times 5\times F(3)+0 = 0+F(3)\times 5\times(6^6-F(4))$$
$$\mathbf{466531} := (-F(4)+6^6)\times 5\times F(3)+1 = 1+F(3)\times 5\times(6^6-F(4))$$
$$\mathbf{466532} := (-F(4)+6^6)\times 5\times F(3)+2 = 2+F(3)\times 5\times(6^6-F(4))$$
$$\mathbf{466533} := (-F(4)+6^6)\times 5\times F(3)+3 = 3+F(3)\times 5\times(6^6-F(4))$$
$$\mathbf{466534} := (-F(4)+6^6)\times 5\times F(3)+4 = 4+F(3)\times 5\times(6^6-F(4))$$
$$\mathbf{466535} := (-F(4)+6^6)\times 5\times F(3)+5 = 5+F(3)\times 5\times(6^6-F(4))$$
$$\mathbf{466536} := (-F(4)+6^6)\times 5\times F(3)+6 = 6+F(3)\times 5\times(6^6-F(4))$$
$$\mathbf{466537} := (-F(4)+6^6)\times 5\times F(3)+7 = 7+F(3)\times 5\times(6^6-F(4))$$
$$\mathbf{466538} := (-F(4)+6^6)\times 5\times F(3)+8 = 8+F(3)\times 5\times(6^6-F(4))$$
$$\mathbf{466539} := (-F(4)+6^6)\times 5\times F(3)+9 = 9+F(3)\times 5\times(6^6-F(4))$$

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$$\mathbf{525170} := -5+F(25)\times 1\times 7+0 \;=\; 0+7\times 1\times F(5^2)-5$$
$$\mathbf{525171} := -5+F(25)\times 1\times 7+1 \;=\; 1+7\times 1\times F(5^2)-5$$
$$\mathbf{525172} := -5+F(25)\times 1\times 7+2 \;=\; 2+7\times 1\times F(5^2)-5$$
$$\mathbf{525173} := -5+F(25)\times 1\times 7+3 \;=\; 3+7\times 1\times F(5^2)-5$$
$$\mathbf{525174} := -5+F(25)\times 1\times 7+4 \;=\; 4+7\times 1\times F(5^2)-5$$
$$\mathbf{525175} := -5+F(25)\times 1\times 7+5 \;=\; 5+7\times 1\times F(5^2)-5$$
$$\mathbf{525176} := -5+F(25)\times 1\times 7+6 \;=\; 6+7\times 1\times F(5^2)-5$$
$$\mathbf{525177} := -5+F(25)\times 1\times 7+7 \;=\; 7+7\times 1\times F(5^2)-5$$
$$\mathbf{525178} := -5+F(25)\times 1\times 7+8 \;=\; 8+7\times 1\times F(5^2)-5$$
$$\mathbf{525179} := -5+F(25)\times 1\times 7+9 \;=\; 9+7\times 1\times F(5^2)-5$$

$$\mathbf{525180} := 5+F(25)\times(-1+8)+0 \;=\; 0+(8-1)\times F(5^2)+5$$
$$\mathbf{525181} := 5+F(25)\times(-1+8)+1 \;=\; 1+(8-1)\times F(5^2)+5$$
$$\mathbf{525182} := 5+F(25)\times(-1+8)+2 \;=\; 2+(8-1)\times F(5^2)+5$$
$$\mathbf{525183} := 5+F(25)\times(-1+8)+3 \;=\; 3+(8-1)\times F(5^2)+5$$
$$\mathbf{525184} := 5+F(25)\times(-1+8)+4 \;=\; 4+(8-1)\times F(5^2)+5$$
$$\mathbf{525185} := 5+F(25)\times(-1+8)+5 \;=\; 5+(8-1)\times F(5^2)+5$$
$$\mathbf{525186} := 5+F(25)\times(-1+8)+6 \;=\; 6+(8-1)\times F(5^2)+5$$
$$\mathbf{525187} := 5+F(25)\times(-1+8)+7 \;=\; 7+(8-1)\times F(5^2)+5$$
$$\mathbf{525188} := 5+F(25)\times(-1+8)+8 \;=\; 8+(8-1)\times F(5^2)+5$$
$$\mathbf{525189} := 5+F(25)\times(-1+8)+9 \;=\; 9+(8-1)\times F(5^2)+5$$

$$\mathbf{606970} := (6^{06}+F(9))\times F(7)+0 \;=\; 0+F(7)\times(F(9)+6^{06})$$
$$\mathbf{606971} := (6^{06}+F(9))\times F(7)+1 \;=\; 1+F(7)\times(F(9)+6^{06})$$
$$\mathbf{606972} := (6^{06}+F(9))\times F(7)+2 \;=\; 2+F(7)\times(F(9)+6^{06})$$
$$\mathbf{606973} := (6^{06}+F(9))\times F(7)+3 \;=\; 3+F(7)\times(F(9)+6^{06})$$
$$\mathbf{606974} := (6^{06}+F(9))\times F(7)+4 \;=\; 4+F(7)\times(F(9)+6^{06})$$
$$\mathbf{606975} := (6^{06}+F(9))\times F(7)+5 \;=\; 5+F(7)\times(F(9)+6^{06})$$
$$\mathbf{606976} := (6^{06}+F(9))\times F(7)+6 \;=\; 6+F(7)\times(F(9)+6^{06})$$
$$\mathbf{606977} := (6^{06}+F(9))\times F(7)+7 \;=\; 7+F(7)\times(F(9)+6^{06})$$
$$\mathbf{606978} := (6^{06}+F(9))\times F(7)+8 \;=\; 8+F(7)\times(F(9)+6^{06})$$
$$\mathbf{606979} := (6^{06}+F(9))\times F(7)+9 \;=\; 9+F(7)\times(F(9)+6^{06})$$

$$\mathbf{689640} := F(6)\times F(8)\times(9+F(6)^4)+0 \;=\; 0+(4^6+9)\times F(8)\times F(6)$$
$$\mathbf{689641} := F(6)\times F(8)\times(9+F(6)^4)+1 \;=\; 1+(4^6+9)\times F(8)\times F(6)$$
$$\mathbf{689642} := F(6)\times F(8)\times(9+F(6)^4)+2 \;=\; 2+(4^6+9)\times F(8)\times F(6)$$
$$\mathbf{689643} := F(6)\times F(8)\times(9+F(6)^4)+3 \;=\; 3+(4^6+9)\times F(8)\times F(6)$$

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$$\mathbf{689644} := F(6)\times F(8)\times(9+F(6)^4)+4 = 4+(4^6+9)\times F(8)\times F(6)$$
$$\mathbf{689645} := F(6)\times F(8)\times(9+F(6)^4)+5 = 5+(4^6+9)\times F(8)\times F(6)$$
$$\mathbf{689646} := F(6)\times F(8)\times(9+F(6)^4)+6 = 6+(4^6+9)\times F(8)\times F(6)$$
$$\mathbf{689647} := F(6)\times F(8)\times(9+F(6)^4)+7 = 7+(4^6+9)\times F(8)\times F(6)$$
$$\mathbf{689648} := F(6)\times F(8)\times(9+F(6)^4)+8 = 8+(4^6+9)\times F(8)\times F(6)$$
$$\mathbf{689649} := F(6)\times F(8)\times(9+F(6)^4)+9 = 9+(4^6+9)\times F(8)\times F(6)$$

$$\mathbf{823540} := (8-F(2))^{F(3)+5}-F(4)+0 = 0-F(4)+(5+F(3))^{-F(2)+8}$$
$$\mathbf{823541} := (8-F(2))^{F(3)+5}-F(4)+1 = 1-F(4)+(5+F(3))^{-F(2)+8}$$
$$\mathbf{823542} := (8-F(2))^{F(3)+5}-F(4)+2 = 2-F(4)+(5+F(3))^{-F(2)+8}$$
$$\mathbf{823543} := (8-F(2))^{F(3)+5}-F(4)+3 = 3-F(4)+(5+F(3))^{-F(2)+8}$$
$$\mathbf{823544} := (8-F(2))^{F(3)+5}-F(4)+4 = 4-F(4)+(5+F(3))^{-F(2)+8}$$
$$\mathbf{823545} := (8-F(2))^{F(3)+5}-F(4)+5 = 5-F(4)+(5+F(3))^{-F(2)+8}$$
$$\mathbf{823546} := (8-F(2))^{F(3)+5}-F(4)+6 = 6-F(4)+(5+F(3))^{-F(2)+8}$$
$$\mathbf{823547} := (8-F(2))^{F(3)+5}-F(4)+7 = 7-F(4)+(5+F(3))^{-F(2)+8}$$
$$\mathbf{823548} := (8-F(2))^{F(3)+5}-F(4)+8 = 8-F(4)+(5+F(3))^{-F(2)+8}$$
$$\mathbf{823549} := (8-F(2))^{F(3)+5}-F(4)+9 = 9-F(4)+(5+F(3))^{-F(2)+8}$$

$$\mathbf{832040} := F(8\times 3+2+04)+0 = 0+F(40\times 2\times 3/8)$$
$$\mathbf{832041} := F(8\times 3+2+04)+1 = 1+F(40\times 2\times 3/8)$$
$$\mathbf{832042} := F(8\times 3+2+04)+2 = 2+F(40\times 2\times 3/8)$$
$$\mathbf{832043} := F(8\times 3+2+04)+3 = 3+F(40\times 2\times 3/8)$$
$$\mathbf{832044} := F(8\times 3+2+04)+4 = 4+F(40\times 2\times 3/8)$$
$$\mathbf{832045} := F(8\times 3+2+04)+5 = 5+F(40\times 2\times 3/8)$$
$$\mathbf{832046} := F(8\times 3+2+04)+6 = 6+F(40\times 2\times 3/8)$$
$$\mathbf{832047} := F(8\times 3+2+04)+7 = 7+F(40\times 2\times 3/8)$$
$$\mathbf{832048} := F(8\times 3+2+04)+8 = 8+F(40\times 2\times 3/8)$$
$$\mathbf{832049} := F(8\times 3+2+04)+9 = 9+F(40\times 2\times 3/8)$$

$$\mathbf{834570} := (F(8\times 3)-F(4))\times(5+F(7))+0 = 0+(F(7)+5)\times(-F(4)+F(3\times 8))$$
$$\mathbf{834571} := (F(8\times 3)-F(4))\times(5+F(7))+1 = 1+(F(7)+5)\times(-F(4)+F(3\times 8))$$
$$\mathbf{834572} := (F(8\times 3)-F(4))\times(5+F(7))+2 = 2+(F(7)+5)\times(-F(4)+F(3\times 8))$$
$$\mathbf{834573} := (F(8\times 3)-F(4))\times(5+F(7))+3 = 3+(F(7)+5)\times(-F(4)+F(3\times 8))$$
$$\mathbf{834574} := (F(8\times 3)-F(4))\times(5+F(7))+4 = 4+(F(7)+5)\times(-F(4)+F(3\times 8))$$
$$\mathbf{834575} := (F(8\times 3)-F(4))\times(5+F(7))+5 = 5+(F(7)+5)\times(-F(4)+F(3\times 8))$$
$$\mathbf{834576} := (F(8\times 3)-F(4))\times(5+F(7))+6 = 6+(F(7)+5)\times(-F(4)+F(3\times 8))$$
$$\mathbf{834577} := (F(8\times 3)-F(4))\times(5+F(7))+7 = 7+(F(7)+5)\times(-F(4)+F(3\times 8))$$
$$\mathbf{834578} := (F(8\times 3)-F(4))\times(5+F(7))+8 = 8+(F(7)+5)\times(-F(4)+F(3\times 8))$$

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$$\mathbf{834579} := (F(8\times 3)-F(4))\times(5+F(7))+9 \;=\; 9+(F(7)+5)\times(-F(4)+F(3\times 8))$$

$$\mathbf{834660} := (F(8\times 3)\times F(4)+6)\times 6+0 \;=\; 0+6\times(6+F(4)\times F(3\times 8))$$
$$\mathbf{834661} := (F(8\times 3)\times F(4)+6)\times 6+1 \;=\; 1+6\times(6+F(4)\times F(3\times 8))$$
$$\mathbf{834662} := (F(8\times 3)\times F(4)+6)\times 6+2 \;=\; 2+6\times(6+F(4)\times F(3\times 8))$$
$$\mathbf{834663} := (F(8\times 3)\times F(4)+6)\times 6+3 \;=\; 3+6\times(6+F(4)\times F(3\times 8))$$
$$\mathbf{834664} := (F(8\times 3)\times F(4)+6)\times 6+4 \;=\; 4+6\times(6+F(4)\times F(3\times 8))$$
$$\mathbf{834665} := (F(8\times 3)\times F(4)+6)\times 6+5 \;=\; 5+6\times(6+F(4)\times F(3\times 8))$$
$$\mathbf{834666} := (F(8\times 3)\times F(4)+6)\times 6+6 \;=\; 6+6\times(6+F(4)\times F(3\times 8))$$
$$\mathbf{834667} := (F(8\times 3)\times F(4)+6)\times 6+7 \;=\; 7+6\times(6+F(4)\times F(3\times 8))$$
$$\mathbf{834668} := (F(8\times 3)\times F(4)+6)\times 6+8 \;=\; 8+6\times(6+F(4)\times F(3\times 8))$$
$$\mathbf{834669} := (F(8\times 3)\times F(4)+6)\times 6+9 \;=\; 9+6\times(6+F(4)\times F(3\times 8))$$

$$\mathbf{922740} := (F(9)+F(22))\times F(7)\times 4+0 \;=\; 0+4\times F(7)\times(F(22)+F(9))$$
$$\mathbf{922741} := (F(9)+F(22))\times F(7)\times 4+1 \;=\; 1+4\times F(7)\times(F(22)+F(9))$$
$$\mathbf{922742} := (F(9)+F(22))\times F(7)\times 4+2 \;=\; 2+4\times F(7)\times(F(22)+F(9))$$
$$\mathbf{922743} := (F(9)+F(22))\times F(7)\times 4+3 \;=\; 3+4\times F(7)\times(F(22)+F(9))$$
$$\mathbf{922744} := (F(9)+F(22))\times F(7)\times 4+4 \;=\; 4+4\times F(7)\times(F(22)+F(9))$$
$$\mathbf{922745} := (F(9)+F(22))\times F(7)\times 4+5 \;=\; 5+4\times F(7)\times(F(22)+F(9))$$
$$\mathbf{922746} := (F(9)+F(22))\times F(7)\times 4+6 \;=\; 6+4\times F(7)\times(F(22)+F(9))$$
$$\mathbf{922747} := (F(9)+F(22))\times F(7)\times 4+7 \;=\; 7+4\times F(7)\times(F(22)+F(9))$$
$$\mathbf{922748} := (F(9)+F(22))\times F(7)\times 4+8 \;=\; 8+4\times F(7)\times(F(22)+F(9))$$
$$\mathbf{922749} := (F(9)+F(22))\times F(7)\times 4+9 \;=\; 9+4\times F(7)\times(F(22)+F(9))$$

$$\mathbf{973830} := (F(9)+7\times F(3\times 8))\times 3+0 \;=\; 0+3\times(7\times F(8\times 3)+F(9))$$
$$\mathbf{973831} := (F(9)+7\times F(3\times 8))\times 3+1 \;=\; 1+3\times(7\times F(8\times 3)+F(9))$$
$$\mathbf{973832} := (F(9)+7\times F(3\times 8))\times 3+2 \;=\; 2+3\times(7\times F(8\times 3)+F(9))$$
$$\mathbf{973833} := (F(9)+7\times F(3\times 8))\times 3+3 \;=\; 3+3\times(7\times F(8\times 3)+F(9))$$
$$\mathbf{973834} := (F(9)+7\times F(3\times 8))\times 3+4 \;=\; 4+3\times(7\times F(8\times 3)+F(9))$$
$$\mathbf{973835} := (F(9)+7\times F(3\times 8))\times 3+5 \;=\; 5+3\times(7\times F(8\times 3)+F(9))$$
$$\mathbf{973836} := (F(9)+7\times F(3\times 8))\times 3+6 \;=\; 6+3\times(7\times F(8\times 3)+F(9))$$
$$\mathbf{973837} := (F(9)+7\times F(3\times 8))\times 3+7 \;=\; 7+3\times(7\times F(8\times 3)+F(9))$$
$$\mathbf{973838} := (F(9)+7\times F(3\times 8))\times 3+8 \;=\; 8+3\times(7\times F(8\times 3)+F(9))$$
$$\mathbf{973839} := (F(9)+7\times F(3\times 8))\times 3+9 \;=\; 9+3\times(7\times F(8\times 3)+F(9))$$

$$\mathbf{974440} := F(9)\times(F(7+4\times 4)+F(4))+0 \;=\; 0+(F(4)+F(4\times 4+7))\times F(9)$$
$$\mathbf{974441} := F(9)\times(F(7+4\times 4)+F(4))+1 \;=\; 1+(F(4)+F(4\times 4+7))\times F(9)$$
$$\mathbf{974442} := F(9)\times(F(7+4\times 4)+F(4))+2 \;=\; 2+(F(4)+F(4\times 4+7))\times F(9)$$
$$\mathbf{974443} := F(9)\times(F(7+4\times 4)+F(4))+3 \;=\; 3+(F(4)+F(4\times 4+7))\times F(9)$$
$$\mathbf{974444} := F(9)\times(F(7+4\times 4)+F(4))+4 \;=\; 4+(F(4)+F(4\times 4+7))\times F(9)$$

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$$\mathbf{974445} := F(9)\times(F(7+4\times4)+F(4))+5 \;=\; 5+(F(4)+F(4\times4+7))\times F(9)$$
$$\mathbf{974446} := F(9)\times(F(7+4\times4)+F(4))+6 \;=\; 6+(F(4)+F(4\times4+7))\times F(9)$$
$$\mathbf{974447} := F(9)\times(F(7+4\times4)+F(4))+7 \;=\; 7+(F(4)+F(4\times4+7))\times F(9)$$
$$\mathbf{974448} := F(9)\times(F(7+4\times4)+F(4))+8 \;=\; 8+(F(4)+F(4\times4+7))\times F(9)$$
$$\mathbf{974449} := F(9)\times(F(7+4\times4)+F(4))+9 \;=\; 9+(F(4)+F(4\times4+7))\times F(9)$$

$$\mathbf{974610} := F(9)\times7\times(4^6-1)+0 \;=\; 0+(-1+F(6)^4)\times7\times F(9)$$
$$\mathbf{974611} := F(9)\times7\times(4^6-1)+1 \;=\; 1+(-1+F(6)^4)\times7\times F(9)$$
$$\mathbf{974612} := F(9)\times7\times(4^6-1)+2 \;=\; 2+(-1+F(6)^4)\times7\times F(9)$$
$$\mathbf{974613} := F(9)\times7\times(4^6-1)+3 \;=\; 3+(-1+F(6)^4)\times7\times F(9)$$
$$\mathbf{974614} := F(9)\times7\times(4^6-1)+4 \;=\; 4+(-1+F(6)^4)\times7\times F(9)$$
$$\mathbf{974615} := F(9)\times7\times(4^6-1)+5 \;=\; 5+(-1+F(6)^4)\times7\times F(9)$$
$$\mathbf{974616} := F(9)\times7\times(4^6-1)+6 \;=\; 6+(-1+F(6)^4)\times7\times F(9)$$
$$\mathbf{974617} := F(9)\times7\times(4^6-1)+7 \;=\; 7+(-1+F(6)^4)\times7\times F(9)$$
$$\mathbf{974618} := F(9)\times7\times(4^6-1)+8 \;=\; 8+(-1+F(6)^4)\times7\times F(9)$$
$$\mathbf{974619} := F(9)\times7\times(4^6-1)+9 \;=\; 9+(-1+F(6)^4)\times7\times F(9)$$

3.1.2 With Factorial

$$\mathbf{720} := (7-F(2))!+0 \;=\; 0+(-F(2)+7)!$$
$$\mathbf{721} := (7-F(2))!+1 \;=\; 1+(-F(2)+7)!$$
$$\mathbf{722} := (7-F(2))!+2 \;=\; 2+(-F(2)+7)!$$
$$\mathbf{723} := (7-F(2))!+3 \;=\; 3+(-F(2)+7)!$$
$$\mathbf{724} := (7-F(2))!+4 \;=\; 4+(-F(2)+7)!$$
$$\mathbf{725} := (7-F(2))!+5 \;=\; 5+(-F(2)+7)!$$
$$\mathbf{726} := (7-F(2))!+6 \;=\; 6+(-F(2)+7)!$$
$$\mathbf{727} := (7-F(2))!+7 \;=\; 7+(-F(2)+7)!$$
$$\mathbf{728} := (7-F(2))!+8 \;=\; 8+(-F(2)+7)!$$
$$\mathbf{729} := (7-F(2))!+9 \;=\; 9+(-F(2)+7)!$$

$$\mathbf{1440} := (-1+F(4))\times(F(4))!!+0 \;=\; 0+F(F(4))\times(4-1)!!$$
$$\mathbf{1441} := (-1+F(4))\times(F(4))!!+1 \;=\; 1+F(F(4))\times(4-1)!!$$
$$\mathbf{1442} := (-1+F(4))\times(F(4))!!+2 \;=\; 2+F(F(4))\times(4-1)!!$$
$$\mathbf{1443} := (-1+F(4))\times(F(4))!!+3 \;=\; 3+F(F(4))\times(4-1)!!$$
$$\mathbf{1444} := (-1+F(4))\times(F(4))!!+4 \;=\; 4+F(F(4))\times(4-1)!!$$
$$\mathbf{1445} := (-1+F(4))\times(F(4))!!+5 \;=\; 5+F(F(4))\times(4-1)!!$$
$$\mathbf{1446} := (-1+F(4))\times(F(4))!!+6 \;=\; 6+F(F(4))\times(4-1)!!$$
$$\mathbf{1447} := (-1+F(4))\times(F(4))!!+7 \;=\; 7+F(F(4))\times(4-1)!!$$
$$\mathbf{1448} := (-1+F(4))\times(F(4))!!+8 \;=\; 8+F(F(4))\times(4-1)!!$$

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$$\mathbf{1449}:= (-1+F(4))\times(F(4))!!+9 = 9+F(F(4))\times(4-1)!!$$

$$\mathbf{3360}:= (F(3!))!/(F(3)\times 6)+0 = 0+F(6)!/(F(3)\times 3!)$$
$$\mathbf{3361}:= (F(3!))!/(F(3)\times 6)+1 = 1+F(6)!/(F(3)\times 3!)$$
$$\mathbf{3362}:= (F(3!))!/(F(3)\times 6)+2 = 2+F(6)!/(F(3)\times 3!)$$
$$\mathbf{3363}:= (F(3!))!/(F(3)\times 6)+3 = 3+F(6)!/(F(3)\times 3!)$$
$$\mathbf{3364}:= (F(3!))!/(F(3)\times 6)+4 = 4+F(6)!/(F(3)\times 3!)$$
$$\mathbf{3365}:= (F(3!))!/(F(3)\times 6)+5 = 5+F(6)!/(F(3)\times 3!)$$
$$\mathbf{3366}:= (F(3!))!/(F(3)\times 6)+6 = 6+F(6)!/(F(3)\times 3!)$$
$$\mathbf{3367}:= (F(3!))!/(F(3)\times 6)+7 = 7+F(6)!/(F(3)\times 3!)$$
$$\mathbf{3368}:= (F(3!))!/(F(3)\times 6)+8 = 8+F(6)!/(F(3)\times 3!)$$
$$\mathbf{3369}:= (F(3!))!/(F(3)\times 6)+9 = 9+F(6)!/(F(3)\times 3!)$$

$$\mathbf{3660}:= 3!\times F(F(F(6))-6)+0 = 0+6\times F(F(F(6))-3!)$$
$$\mathbf{3661}:= 3!\times F(F(F(6))-6)+1 = 1+6\times F(F(F(6))-3!)$$
$$\mathbf{3662}:= 3!\times F(F(F(6))-6)+2 = 2+6\times F(F(F(6))-3!)$$
$$\mathbf{3663}:= 3!\times F(F(F(6))-6)+3 = 3+6\times F(F(F(6))-3!)$$
$$\mathbf{3664}:= 3!\times F(F(F(6))-6)+4 = 4+6\times F(F(F(6))-3!)$$
$$\mathbf{3665}:= 3!\times F(F(F(6))-6)+5 = 5+6\times F(F(F(6))-3!)$$
$$\mathbf{3666}:= 3!\times F(F(F(6))-6)+6 = 6+6\times F(F(F(6))-3!)$$
$$\mathbf{3667}:= 3!\times F(F(F(6))-6)+7 = 7+6\times F(F(F(6))-3!)$$
$$\mathbf{3668}:= 3!\times F(F(F(6))-6)+8 = 8+6\times F(F(F(6))-3!)$$
$$\mathbf{3669}:= 3!\times F(F(F(6))-6)+9 = 9+6\times F(F(F(6))-3!)$$

$$\mathbf{3840}:= (F(3!))!/F(8)\times F(F(4))+0 = 0+F(F(4))\times 8!/F(F(3!))$$
$$\mathbf{3841}:= (F(3!))!/F(8)\times F(F(4))+1 = 1+F(F(4))\times 8!/F(F(3!))$$
$$\mathbf{3842}:= (F(3!))!/F(8)\times F(F(4))+2 = 2+F(F(4))\times 8!/F(F(3!))$$
$$\mathbf{3843}:= (F(3!))!/F(8)\times F(F(4))+3 = 3+F(F(4))\times 8!/F(F(3!))$$
$$\mathbf{3844}:= (F(3!))!/F(8)\times F(F(4))+4 = 4+F(F(4))\times 8!/F(F(3!))$$
$$\mathbf{3845}:= (F(3!))!/F(8)\times F(F(4))+5 = 5+F(F(4))\times 8!/F(F(3!))$$
$$\mathbf{3846}:= (F(3!))!/F(8)\times F(F(4))+6 = 6+F(F(4))\times 8!/F(F(3!))$$
$$\mathbf{3847}:= (F(3!))!/F(8)\times F(F(4))+7 = 7+F(F(4))\times 8!/F(F(3!))$$
$$\mathbf{3848}:= (F(3!))!/F(8)\times F(F(4))+8 = 8+F(F(4))\times 8!/F(F(3!))$$
$$\mathbf{3849}:= (F(3!))!/F(8)\times F(F(4))+9 = 9+F(F(4))\times 8!/F(F(3!))$$

$$\mathbf{4320}:= F(4)!\times 3!!+F(2)\times 0 = 0+2\times 3!!\times F(4)$$
$$\mathbf{4321}:= F(4)!\times 3!!+F(2)\times 1 = 1+2\times 3!!\times F(4)$$
$$\mathbf{4322}:= F(4)!\times 3!!+F(2)\times 2 = 2+2\times 3!!\times F(4)$$
$$\mathbf{4323}:= F(4)!\times 3!!+F(2)\times 3 = 3+2\times 3!!\times F(4)$$
$$\mathbf{4324}:= F(4)!\times 3!!+F(2)\times 4 = 4+2\times 3!!\times F(4)$$

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$$4325 := F(4)! \times 3!! + F(2) \times 5 = 5 + 2 \times 3!! \times F(4)$$
$$4326 := F(4)! \times 3!! + F(2) \times 6 = 6 + 2 \times 3!! \times F(4)$$
$$4327 := F(4)! \times 3!! + F(2) \times 7 = 7 + 2 \times 3!! \times F(4)$$
$$4328 := F(4)! \times 3!! + F(2) \times 8 = 8 + 2 \times 3!! \times F(4)$$
$$4329 := F(4)! \times 3!! + F(2) \times 9 = 9 + 2 \times 3!! \times F(4)$$

$$4350 := F(4)! \times (3!! + 5) + 0 = 0 + (5 + 3!!) \times F(4)!$$
$$4351 := F(4)! \times (3!! + 5) + 1 = 1 + (5 + 3!!) \times F(4)!$$
$$4352 := F(4)! \times (3!! + 5) + 2 = 2 + (5 + 3!!) \times F(4)!$$
$$4353 := F(4)! \times (3!! + 5) + 3 = 3 + (5 + 3!!) \times F(4)!$$
$$4354 := F(4)! \times (3!! + 5) + 4 = 4 + (5 + 3!!) \times F(4)!$$
$$4355 := F(4)! \times (3!! + 5) + 5 = 5 + (5 + 3!!) \times F(4)!$$
$$4356 := F(4)! \times (3!! + 5) + 6 = 6 + (5 + 3!!) \times F(4)!$$
$$4357 := F(4)! \times (3!! + 5) + 7 = 7 + (5 + 3!!) \times F(4)!$$
$$4358 := F(4)! \times (3!! + 5) + 8 = 8 + (5 + 3!!) \times F(4)!$$
$$4359 := F(4)! \times (3!! + 5) + 9 = 9 + (5 + 3!!) \times F(4)!$$

$$4480 := (F(F(4)!))!/(F(F(F(4))) + 8) + 0 = 0 + 8!/(F(4) \times F(4))$$
$$4481 := (F(F(4)!))!/(F(F(F(4))) + 8) + 1 = 1 + 8!/(F(4) \times F(4))$$
$$4482 := (F(F(4)!))!/(F(F(F(4))) + 8) + 2 = 2 + 8!/(F(4) \times F(4))$$
$$4483 := (F(F(4)!))!/(F(F(F(4))) + 8) + 3 = 3 + 8!/(F(4) \times F(4))$$
$$4484 := (F(F(4)!))!/(F(F(F(4))) + 8) + 4 = 4 + 8!/(F(4) \times F(4))$$
$$4485 := (F(F(4)!))!/(F(F(F(4))) + 8) + 5 = 5 + 8!/(F(4) \times F(4))$$
$$4486 := (F(F(4)!))!/(F(F(F(4))) + 8) + 6 = 6 + 8!/(F(4) \times F(4))$$
$$4487 := (F(F(4)!))!/(F(F(F(4))) + 8) + 7 = 7 + 8!/(F(4) \times F(4))$$
$$4488 := (F(F(4)!))!/(F(F(F(4))) + 8) + 8 = 8 + 8!/(F(4) \times F(4))$$
$$4489 := (F(F(4)!))!/(F(F(F(4))) + 8) + 9 = 9 + 8!/(F(4) \times F(4))$$

$$4880 := F(-F(4)! + (F(8))) \times 8 + 0 = 0 + 8 \times F(F(8) - F(4)!)$$
$$4881 := F(-F(4)! + (F(8))) \times 8 + 1 = 1 + 8 \times F(F(8) - F(4)!)$$
$$4882 := F(-F(4)! + (F(8))) \times 8 + 2 = 2 + 8 \times F(F(8) - F(4)!)$$
$$4883 := F(-F(4)! + (F(8))) \times 8 + 3 = 3 + 8 \times F(F(8) - F(4)!)$$
$$4884 := F(-F(4)! + (F(8))) \times 8 + 4 = 4 + 8 \times F(F(8) - F(4)!)$$
$$4885 := F(-F(4)! + (F(8))) \times 8 + 5 = 5 + 8 \times F(F(8) - F(4)!)$$
$$4886 := F(-F(4)! + (F(8))) \times 8 + 6 = 6 + 8 \times F(F(8) - F(4)!)$$
$$4887 := F(-F(4)! + (F(8))) \times 8 + 7 = 7 + 8 \times F(F(8) - F(4)!)$$
$$4888 := F(-F(4)! + (F(8))) \times 8 + 8 = 8 + 8 \times F(F(8) - F(4)!)$$
$$4889 := F(-F(4)! + (F(8))) \times 8 + 9 = 9 + 8 \times F(F(8) - F(4)!)$$

$$5040 := (5 - 0! + F(4))! + 0 = 0 + (F(4) - 0! + 5)!$$

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$$\mathbf{5041} := (5-0!+F(4))!+1 = 1+(F(4)-0!+5)!$$
$$\mathbf{5042} := (5-0!+F(4))!+2 = 2+(F(4)-0!+5)!$$
$$\mathbf{5043} := (5-0!+F(4))!+3 = 3+(F(4)-0!+5)!$$
$$\mathbf{5044} := (5-0!+F(4))!+4 = 4+(F(4)-0!+5)!$$
$$\mathbf{5045} := (5-0!+F(4))!+5 = 5+(F(4)-0!+5)!$$
$$\mathbf{5046} := (5-0!+F(4))!+6 = 6+(F(4)-0!+5)!$$
$$\mathbf{5047} := (5-0!+F(4))!+7 = 7+(F(4)-0!+5)!$$
$$\mathbf{5048} := (5-0!+F(4))!+8 = 8+(F(4)-0!+5)!$$
$$\mathbf{5049} := (5-0!+F(4))!+9 = 9+(F(4)-0!+5)!$$

$$\mathbf{5640} := -5!+F(6)\times F(4)!!+0 = 0+F(4)!!\times F(6)-5!$$
$$\mathbf{5641} := -5!+F(6)\times F(4)!!+1 = 1+F(4)!!\times F(6)-5!$$
$$\mathbf{5642} := -5!+F(6)\times F(4)!!+2 = 2+F(4)!!\times F(6)-5!$$
$$\mathbf{5643} := -5!+F(6)\times F(4)!!+3 = 3+F(4)!!\times F(6)-5!$$
$$\mathbf{5644} := -5!+F(6)\times F(4)!!+4 = 4+F(4)!!\times F(6)-5!$$
$$\mathbf{5645} := -5!+F(6)\times F(4)!!+5 = 5+F(4)!!\times F(6)-5!$$
$$\mathbf{5646} := -5!+F(6)\times F(4)!!+6 = 6+F(4)!!\times F(6)-5!$$
$$\mathbf{5647} := -5!+F(6)\times F(4)!!+7 = 7+F(4)!!\times F(6)-5!$$
$$\mathbf{5648} := -5!+F(6)\times F(4)!!+8 = 8+F(4)!!\times F(6)-5!$$
$$\mathbf{5649} := -5!+F(6)\times F(4)!!+9 = 9+F(4)!!\times F(6)-5!$$

$$\mathbf{5760} := (-5+F(7))\times 6!+0 = 0+6!\times(F(7)-5)$$
$$\mathbf{5761} := (-5+F(7))\times 6!+1 = 1+6!\times(F(7)-5)$$
$$\mathbf{5762} := (-5+F(7))\times 6!+2 = 2+6!\times(F(7)-5)$$
$$\mathbf{5763} := (-5+F(7))\times 6!+3 = 3+6!\times(F(7)-5)$$
$$\mathbf{5764} := (-5+F(7))\times 6!+4 = 4+6!\times(F(7)-5)$$
$$\mathbf{5765} := (-5+F(7))\times 6!+5 = 5+6!\times(F(7)-5)$$
$$\mathbf{5766} := (-5+F(7))\times 6!+6 = 6+6!\times(F(7)-5)$$
$$\mathbf{5767} := (-5+F(7))\times 6!+7 = 7+6!\times(F(7)-5)$$
$$\mathbf{5768} := (-5+F(7))\times 6!+8 = 8+6!\times(F(7)-5)$$
$$\mathbf{5769} := (-5+F(7))\times 6!+9 = 9+6!\times(F(7)-5)$$

$$\mathbf{6480} := 6!+F(4)!!\times 8+0 = 0+(8+F(F(F(4))))\times 6!$$
$$\mathbf{6481} := 6!+F(4)!!\times 8+1 = 1+(8+F(F(F(4))))\times 6!$$
$$\mathbf{6482} := 6!+F(4)!!\times 8+2 = 2+(8+F(F(F(4))))\times 6!$$
$$\mathbf{6483} := 6!+F(4)!!\times 8+3 = 3+(8+F(F(F(4))))\times 6!$$
$$\mathbf{6484} := 6!+F(4)!!\times 8+4 = 4+(8+F(F(F(4))))\times 6!$$
$$\mathbf{6485} := 6!+F(4)!!\times 8+5 = 5+(8+F(F(F(4))))\times 6!$$
$$\mathbf{6486} := 6!+F(4)!!\times 8+6 = 6+(8+F(F(F(4))))\times 6!$$
$$\mathbf{6487} := 6!+F(4)!!\times 8+7 = 7+(8+F(F(F(4))))\times 6!$$
$$\mathbf{6488} := 6!+F(4)!!\times 8+8 = 8+(8+F(F(F(4))))\times 6!$$

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$$\mathbf{6489} := 6! + F(4)!! \times 8 + 9 = 9 + (8 + F(F(F(4)))) \times 6!$$

$$\mathbf{6720} := F(6)!/(7 - F(2)) + 0 = 0 + (F(2) + 7)!/6$$
$$\mathbf{6721} := F(6)!/(7 - F(2)) + 1 = 1 + (F(2) + 7)!/6$$
$$\mathbf{6722} := F(6)!/(7 - F(2)) + 2 = 2 + (F(2) + 7)!/6$$
$$\mathbf{6723} := F(6)!/(7 - F(2)) + 3 = 3 + (F(2) + 7)!/6$$
$$\mathbf{6724} := F(6)!/(7 - F(2)) + 4 = 4 + (F(2) + 7)!/6$$
$$\mathbf{6725} := F(6)!/(7 - F(2)) + 5 = 5 + (F(2) + 7)!/6$$
$$\mathbf{6726} := F(6)!/(7 - F(2)) + 6 = 6 + (F(2) + 7)!/6$$
$$\mathbf{6727} := F(6)!/(7 - F(2)) + 7 = 7 + (F(2) + 7)!/6$$
$$\mathbf{6728} := F(6)!/(7 - F(2)) + 8 = 8 + (F(2) + 7)!/6$$
$$\mathbf{6729} := F(6)!/(7 - F(2)) + 9 = 9 + (F(2) + 7)!/6$$

$$\mathbf{6840} := (6! + 8!)/F(4)! + 0 = 0 + (F(4)!! + 8!)/6$$
$$\mathbf{6841} := (6! + 8!)/F(4)! + 1 = 1 + (F(4)!! + 8!)/6$$
$$\mathbf{6842} := (6! + 8!)/F(4)! + 2 = 2 + (F(4)!! + 8!)/6$$
$$\mathbf{6843} := (6! + 8!)/F(4)! + 3 = 3 + (F(4)!! + 8!)/6$$
$$\mathbf{6844} := (6! + 8!)/F(4)! + 4 = 4 + (F(4)!! + 8!)/6$$
$$\mathbf{6845} := (6! + 8!)/F(4)! + 5 = 5 + (F(4)!! + 8!)/6$$
$$\mathbf{6846} := (6! + 8!)/F(4)! + 6 = 6 + (F(4)!! + 8!)/6$$
$$\mathbf{6847} := (6! + 8!)/F(4)! + 7 = 7 + (F(4)!! + 8!)/6$$
$$\mathbf{6848} := (6! + 8!)/F(4)! + 8 = 8 + (F(4)!! + 8!)/6$$
$$\mathbf{6849} := (6! + 8!)/F(4)! + 9 = 9 + (F(4)!! + 8!)/6$$

$$\mathbf{7560} := 7! + 5! \times F(F(6)) + 0 = 0 + F(F(6)) \times 5! + 7!$$
$$\mathbf{7561} := 7! + 5! \times F(F(6)) + 1 = 1 + F(F(6)) \times 5! + 7!$$
$$\mathbf{7562} := 7! + 5! \times F(F(6)) + 2 = 2 + F(F(6)) \times 5! + 7!$$
$$\mathbf{7563} := 7! + 5! \times F(F(6)) + 3 = 3 + F(F(6)) \times 5! + 7!$$
$$\mathbf{7564} := 7! + 5! \times F(F(6)) + 4 = 4 + F(F(6)) \times 5! + 7!$$
$$\mathbf{7565} := 7! + 5! \times F(F(6)) + 5 = 5 + F(F(6)) \times 5! + 7!$$
$$\mathbf{7566} := 7! + 5! \times F(F(6)) + 6 = 6 + F(F(6)) \times 5! + 7!$$
$$\mathbf{7567} := 7! + 5! \times F(F(6)) + 7 = 7 + F(F(6)) \times 5! + 7!$$
$$\mathbf{7568} := 7! + 5! \times F(F(6)) + 8 = 8 + F(F(6)) \times 5! + 7!$$
$$\mathbf{7569} := 7! + 5! \times F(F(6)) + 9 = 9 + F(F(6)) \times 5! + 7!$$

$$\mathbf{7930} := F(7) \times F(9 + 3!) + 0 = 0 + F(3! + 9) \times F(7)$$
$$\mathbf{7931} := F(7) \times F(9 + 3!) + 1 = 1 + F(3! + 9) \times F(7)$$
$$\mathbf{7932} := F(7) \times F(9 + 3!) + 2 = 2 + F(3! + 9) \times F(7)$$
$$\mathbf{7933} := F(7) \times F(9 + 3!) + 3 = 3 + F(3! + 9) \times F(7)$$
$$\mathbf{7934} := F(7) \times F(9 + 3!) + 4 = 4 + F(3! + 9) \times F(7)$$

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$$\mathbf{7935} := F(7)\times F(9+3!)+5 = 5+F(3!+9)\times F(7)$$
$$\mathbf{7936} := F(7)\times F(9+3!)+6 = 6+F(3!+9)\times F(7)$$
$$\mathbf{7937} := F(7)\times F(9+3!)+7 = 7+F(3!+9)\times F(7)$$
$$\mathbf{7938} := F(7)\times F(9+3!)+8 = 8+F(3!+9)\times F(7)$$
$$\mathbf{7939} := F(7)\times F(9+3!)+9 = 9+F(3!+9)\times F(7)$$

$$\mathbf{9360} := F(9-F(3))\times 6!+0 = 0+6!\times F(-F(3)+9)$$
$$\mathbf{9361} := F(9-F(3))\times 6!+1 = 1+6!\times F(-F(3)+9)$$
$$\mathbf{9362} := F(9-F(3))\times 6!+2 = 2+6!\times F(-F(3)+9)$$
$$\mathbf{9363} := F(9-F(3))\times 6!+3 = 3+6!\times F(-F(3)+9)$$
$$\mathbf{9364} := F(9-F(3))\times 6!+4 = 4+6!\times F(-F(3)+9)$$
$$\mathbf{9365} := F(9-F(3))\times 6!+5 = 5+6!\times F(-F(3)+9)$$
$$\mathbf{9366} := F(9-F(3))\times 6!+6 = 6+6!\times F(-F(3)+9)$$
$$\mathbf{9367} := F(9-F(3))\times 6!+7 = 7+6!\times F(-F(3)+9)$$
$$\mathbf{9368} := F(9-F(3))\times 6!+8 = 8+6!\times F(-F(3)+9)$$
$$\mathbf{9369} := F(9-F(3))\times 6!+9 = 9+6!\times F(-F(3)+9)$$

$$\mathbf{11480} := F(11)\times F(4)!+F(F(8))+0 = 0+F(F(8))+F(4)!\times F(11)$$
$$\mathbf{11481} := F(11)\times F(4)!+F(F(8))+1 = 1+F(F(8))+F(4)!\times F(11)$$
$$\mathbf{11482} := F(11)\times F(4)!+F(F(8))+2 = 2+F(F(8))+F(4)!\times F(11)$$
$$\mathbf{11483} := F(11)\times F(4)!+F(F(8))+3 = 3+F(F(8))+F(4)!\times F(11)$$
$$\mathbf{11484} := F(11)\times F(4)!+F(F(8))+4 = 4+F(F(8))+F(4)!\times F(11)$$
$$\mathbf{11485} := F(11)\times F(4)!+F(F(8))+5 = 5+F(F(8))+F(4)!\times F(11)$$
$$\mathbf{11486} := F(11)\times F(4)!+F(F(8))+6 = 6+F(F(8))+F(4)!\times F(11)$$
$$\mathbf{11487} := F(11)\times F(4)!+F(F(8))+7 = 7+F(F(8))+F(4)!\times F(11)$$
$$\mathbf{11488} := F(11)\times F(4)!+F(F(8))+8 = 8+F(F(8))+F(4)!\times F(11)$$
$$\mathbf{11489} := F(11)\times F(4)!+F(F(8))+9 = 9+F(F(8))+F(4)!\times F(11)$$

$$\mathbf{12670} := -1+F(F(2)+F(F(6)))-7!+0 = 0-7!+F(F(F(6))+F(2))-1$$
$$\mathbf{12671} := -1+F(F(2)+F(F(6)))-7!+1 = 1-7!+F(F(F(6))+F(2))-1$$
$$\mathbf{12672} := -1+F(F(2)+F(F(6)))-7!+2 = 2-7!+F(F(F(6))+F(2))-1$$
$$\mathbf{12673} := -1+F(F(2)+F(F(6)))-7!+3 = 3-7!+F(F(F(6))+F(2))-1$$
$$\mathbf{12674} := -1+F(F(2)+F(F(6)))-7!+4 = 4-7!+F(F(F(6))+F(2))-1$$
$$\mathbf{12675} := -1+F(F(2)+F(F(6)))-7!+5 = 5-7!+F(F(F(6))+F(2))-1$$
$$\mathbf{12676} := -1+F(F(2)+F(F(6)))-7!+6 = 6-7!+F(F(F(6))+F(2))-1$$
$$\mathbf{12677} := -1+F(F(2)+F(F(6)))-7!+7 = 7-7!+F(F(F(6))+F(2))-1$$
$$\mathbf{12678} := -1+F(F(2)+F(F(6)))-7!+8 = 8-7!+F(F(F(6))+F(2))-1$$
$$\mathbf{12679} := -1+F(F(2)+F(F(6)))-7!+9 = 9-7!+F(F(F(6))+F(2))-1$$

$$\mathbf{13520} := (F(-1+F(F(3!)))-5)\times 2+0 = 0+2\times(-5+F(F(F(3!))-1))$$

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$$\mathbf{13521} := (F(-1+F(F(3!)))-5)\times 2+1 = 1+2\times(-5+F(F(F(3!))-1))$$
$$\mathbf{13522} := (F(-1+F(F(3!)))-5)\times 2+2 = 2+2\times(-5+F(F(F(3!))-1))$$
$$\mathbf{13523} := (F(-1+F(F(3!)))-5)\times 2+3 = 3+2\times(-5+F(F(F(3!))-1))$$
$$\mathbf{13524} := (F(-1+F(F(3!)))-5)\times 2+4 = 4+2\times(-5+F(F(F(3!))-1))$$
$$\mathbf{13525} := (F(-1+F(F(3!)))-5)\times 2+5 = 5+2\times(-5+F(F(F(3!))-1))$$
$$\mathbf{13526} := (F(-1+F(F(3!)))-5)\times 2+6 = 6+2\times(-5+F(F(F(3!))-1))$$
$$\mathbf{13527} := (F(-1+F(F(3!)))-5)\times 2+7 = 7+2\times(-5+F(F(F(3!))-1))$$
$$\mathbf{13528} := (F(-1+F(F(3!)))-5)\times 2+8 = 8+2\times(-5+F(F(F(3!))-1))$$
$$\mathbf{13529} := (F(-1+F(F(3!)))-5)\times 2+9 = 9+2\times(-5+F(F(F(3!))-1))$$

$$\mathbf{13540} := (F(-1+F(F(3!)))+5)\times F(F(4))+0 = 0+F(F(4))\times(5+F(F(F(3!))-1))$$
$$\mathbf{13541} := (F(-1+F(F(3!)))+5)\times F(F(4))+1 = 1+F(F(4))\times(5+F(F(F(3!))-1))$$
$$\mathbf{13542} := (F(-1+F(F(3!)))+5)\times F(F(4))+2 = 2+F(F(4))\times(5+F(F(F(3!))-1))$$
$$\mathbf{13543} := (F(-1+F(F(3!)))+5)\times F(F(4))+3 = 3+F(F(4))\times(5+F(F(F(3!))-1))$$
$$\mathbf{13544} := (F(-1+F(F(3!)))+5)\times F(F(4))+4 = 4+F(F(4))\times(5+F(F(F(3!))-1))$$
$$\mathbf{13545} := (F(-1+F(F(3!)))+5)\times F(F(4))+5 = 5+F(F(4))\times(5+F(F(F(3!))-1))$$
$$\mathbf{13546} := (F(-1+F(F(3!)))+5)\times F(F(4))+6 = 6+F(F(4))\times(5+F(F(F(3!))-1))$$
$$\mathbf{13547} := (F(-1+F(F(3!)))+5)\times F(F(4))+7 = 7+F(F(4))\times(5+F(F(F(3!))-1))$$
$$\mathbf{13548} := (F(-1+F(F(3!)))+5)\times F(F(4))+8 = 8+F(F(4))\times(5+F(F(F(3!))-1))$$
$$\mathbf{13549} := (F(-1+F(F(3!)))+5)\times F(F(4))+9 = 9+F(F(4))\times(5+F(F(F(3!))-1))$$

$$\mathbf{14340} := (-1+F(F(F(4!))))\times(3!!-F(4))+0 = 0+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$
$$\mathbf{14341} := (-1+F(F(F(4!))))\times(3!!-F(4))+1 = 1+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$
$$\mathbf{14342} := (-1+F(F(F(4!))))\times(3!!-F(4))+2 = 2+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$
$$\mathbf{14343} := (-1+F(F(F(4!))))\times(3!!-F(4))+3 = 3+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$
$$\mathbf{14344} := (-1+F(F(F(4!))))\times(3!!-F(4))+4 = 4+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$
$$\mathbf{14345} := (-1+F(F(F(4!))))\times(3!!-F(4))+5 = 5+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$
$$\mathbf{14346} := (-1+F(F(F(4!))))\times(3!!-F(4))+6 = 6+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$
$$\mathbf{14347} := (-1+F(F(F(4!))))\times(3!!-F(4))+7 = 7+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$
$$\mathbf{14348} := (-1+F(F(F(4!))))\times(3!!-F(4))+8 = 8+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$
$$\mathbf{14349} := (-1+F(F(F(4!))))\times(3!!-F(4))+9 = 9+(-F(4)+3!!)\times(F(F(F(4)!))-1)$$

$$\mathbf{14360} := (-1+F(F(F(4!))))\times(-F(3)+6!)+0 = 0+(6!-F(3))\times(F(F(F(4)!))-1)$$
$$\mathbf{14361} := (-1+F(F(F(4!))))\times(-F(3)+6!)+1 = 1+(6!-F(3))\times(F(F(F(4)!))-1)$$
$$\mathbf{14362} := (-1+F(F(F(4!))))\times(-F(3)+6!)+2 = 2+(6!-F(3))\times(F(F(F(4)!))-1)$$
$$\mathbf{14363} := (-1+F(F(F(4!))))\times(-F(3)+6!)+3 = 3+(6!-F(3))\times(F(F(F(4)!))-1)$$
$$\mathbf{14364} := (-1+F(F(F(4!))))\times(-F(3)+6!)+4 = 4+(6!-F(3))\times(F(F(F(4)!))-1)$$
$$\mathbf{14365} := (-1+F(F(F(4!))))\times(-F(3)+6!)+5 = 5+(6!-F(3))\times(F(F(F(4)!))-1)$$
$$\mathbf{14366} := (-1+F(F(F(4!))))\times(-F(3)+6!)+6 = 6+(6!-F(3))\times(F(F(F(4)!))-1)$$
$$\mathbf{14367} := (-1+F(F(F(4!))))\times(-F(3)+6!)+7 = 7+(6!-F(3))\times(F(F(F(4)!))-1)$$

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$$\mathbf{14368} := (-1+F(F(F(4)!)))\times(-F(3)+6!)+8 = 8+(6!-F(3))\times(F(F(F(4)!))-1)$$
$$\mathbf{14369} := (-1+F(F(F(4)!)))\times(-F(3)+6!)+9 = 9+(6!-F(3))\times(F(F(F(4)!))-1)$$

$$\mathbf{14380} := (1-F(4)!!)\times(F(F(3))-F(8))+0 = 0+(F(8)-F(F(3)))\times(F(4)!!-1)$$
$$\mathbf{14381} := (1-F(4)!!)\times(F(F(3))-F(8))+1 = 1+(F(8)-F(F(3)))\times(F(4)!!-1)$$
$$\mathbf{14382} := (1-F(4)!!)\times(F(F(3))-F(8))+2 = 2+(F(8)-F(F(3)))\times(F(4)!!-1)$$
$$\mathbf{14383} := (1-F(4)!!)\times(F(F(3))-F(8))+3 = 3+(F(8)-F(F(3)))\times(F(4)!!-1)$$
$$\mathbf{14384} := (1-F(4)!!)\times(F(F(3))-F(8))+4 = 4+(F(8)-F(F(3)))\times(F(4)!!-1)$$
$$\mathbf{14385} := (1-F(4)!!)\times(F(F(3))-F(8))+5 = 5+(F(8)-F(F(3)))\times(F(4)!!-1)$$
$$\mathbf{14386} := (1-F(4)!!)\times(F(F(3))-F(8))+6 = 6+(F(8)-F(F(3)))\times(F(4)!!-1)$$
$$\mathbf{14387} := (1-F(4)!!)\times(F(F(3))-F(8))+7 = 7+(F(8)-F(F(3)))\times(F(4)!!-1)$$
$$\mathbf{14388} := (1-F(4)!!)\times(F(F(3))-F(8))+8 = 8+(F(8)-F(F(3)))\times(F(4)!!-1)$$
$$\mathbf{14389} := (1-F(4)!!)\times(F(F(3))-F(8))+9 = 9+(F(8)-F(F(3)))\times(F(4)!!-1)$$

$$\mathbf{14420} := (1+4)!^{F(F(4))}+20 = 0+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$
$$\mathbf{14421} := (1+4)!^{F(F(4))}+21 = 1+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$
$$\mathbf{14422} := (1+4)!^{F(F(4))}+22 = 2+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$
$$\mathbf{14423} := (1+4)!^{F(F(4))}+23 = 3+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$
$$\mathbf{14424} := (1+4)!^{F(F(4))}+24 = 4+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$
$$\mathbf{14425} := (1+4)!^{F(F(4))}+25 = 5+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$
$$\mathbf{14426} := (1+4)!^{F(F(4))}+26 = 6+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$
$$\mathbf{14427} := (1+4)!^{F(F(4))}+27 = 7+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$
$$\mathbf{14428} := (1+4)!^{F(F(4))}+28 = 8+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$
$$\mathbf{14429} := (1+4)!^{F(F(4))}+29 = 9+(-F(2)+F(F(F(4)!)))\times(F(4)!!+1)$$

$$\mathbf{14460} := (1+4)!^{F(F(4))}+60 = 0+(6!+F(4))\times(F(F(F(4)!))-1)$$
$$\mathbf{14461} := (1+4)!^{F(F(4))}+61 = 1+(6!+F(4))\times(F(F(F(4)!))-1)$$
$$\mathbf{14462} := (1+4)!^{F(F(4))}+62 = 2+(6!+F(4))\times(F(F(F(4)!))-1)$$
$$\mathbf{14463} := (1+4)!^{F(F(4))}+63 = 3+(6!+F(4))\times(F(F(F(4)!))-1)$$
$$\mathbf{14464} := (1+4)!^{F(F(4))}+64 = 4+(6!+F(4))\times(F(F(F(4)!))-1)$$
$$\mathbf{14465} := (1+4)!^{F(F(4))}+65 = 5+(6!+F(4))\times(F(F(F(4)!))-1)$$
$$\mathbf{14466} := (1+4)!^{F(F(4))}+66 = 6+(6!+F(4))\times(F(F(F(4)!))-1)$$
$$\mathbf{14467} := (1+4)!^{F(F(4))}+67 = 7+(6!+F(4))\times(F(F(F(4)!))-1)$$
$$\mathbf{14468} := (1+4)!^{F(F(4))}+68 = 8+(6!+F(4))\times(F(F(F(4)!))-1)$$
$$\mathbf{14469} := (1+4)!^{F(F(4))}+69 = 9+(6!+F(4))\times(F(F(F(4)!))-1)$$

$$\mathbf{14520} := (1+4)!\times(5!+F(2))+0 = 0+(F(2)+5!)\times(4+1)!$$

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$$\mathbf{14521} := (1+4)! \times (5! + F(2)) + 1 = 1 + (F(2) + 5!) \times (4+1)!$$
$$\mathbf{14522} := (1+4)! \times (5! + F(2)) + 2 = 2 + (F(2) + 5!) \times (4+1)!$$
$$\mathbf{14523} := (1+4)! \times (5! + F(2)) + 3 = 3 + (F(2) + 5!) \times (4+1)!$$
$$\mathbf{14524} := (1+4)! \times (5! + F(2)) + 4 = 4 + (F(2) + 5!) \times (4+1)!$$
$$\mathbf{14525} := (1+4)! \times (5! + F(2)) + 5 = 5 + (F(2) + 5!) \times (4+1)!$$
$$\mathbf{14526} := (1+4)! \times (5! + F(2)) + 6 = 6 + (F(2) + 5!) \times (4+1)!$$
$$\mathbf{14527} := (1+4)! \times (5! + F(2)) + 7 = 7 + (F(2) + 5!) \times (4+1)!$$
$$\mathbf{14528} := (1+4)! \times (5! + F(2)) + 8 = 8 + (F(2) + 5!) \times (4+1)!$$
$$\mathbf{14529} := (1+4)! \times (5! + F(2)) + 9 = 9 + (F(2) + 5!) \times (4+1)!$$

$$\mathbf{14680} := 1 + (F(4)!! - F(F(6))) \times F(8) + 0 = 0 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$
$$\mathbf{14681} := 1 + (F(4)!! - F(F(6))) \times F(8) + 1 = 1 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$
$$\mathbf{14682} := 1 + (F(4)!! - F(F(6))) \times F(8) + 2 = 2 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$
$$\mathbf{14683} := 1 + (F(4)!! - F(F(6))) \times F(8) + 3 = 3 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$
$$\mathbf{14684} := 1 + (F(4)!! - F(F(6))) \times F(8) + 4 = 4 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$
$$\mathbf{14685} := 1 + (F(4)!! - F(F(6))) \times F(8) + 5 = 5 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$
$$\mathbf{14686} := 1 + (F(4)!! - F(F(6))) \times F(8) + 6 = 6 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$
$$\mathbf{14687} := 1 + (F(4)!! - F(F(6))) \times F(8) + 7 = 7 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$
$$\mathbf{14688} := 1 + (F(4)!! - F(F(6))) \times F(8) + 8 = 8 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$
$$\mathbf{14689} := 1 + (F(4)!! - F(F(6))) \times F(8) + 9 = 9 + F(8) \times (-F(F(6)) + F(4)!!) + 1$$

$$\mathbf{15840} := (1+5)! \times F(8) + F(4)!! + 0 = 0 + F(4)!! + F(8) \times (5+1)!$$
$$\mathbf{15841} := (1+5)! \times F(8) + F(4)!! + 1 = 1 + F(4)!! + F(8) \times (5+1)!$$
$$\mathbf{15842} := (1+5)! \times F(8) + F(4)!! + 2 = 2 + F(4)!! + F(8) \times (5+1)!$$
$$\mathbf{15843} := (1+5)! \times F(8) + F(4)!! + 3 = 3 + F(4)!! + F(8) \times (5+1)!$$
$$\mathbf{15844} := (1+5)! \times F(8) + F(4)!! + 4 = 4 + F(4)!! + F(8) \times (5+1)!$$
$$\mathbf{15845} := (1+5)! \times F(8) + F(4)!! + 5 = 5 + F(4)!! + F(8) \times (5+1)!$$
$$\mathbf{15846} := (1+5)! \times F(8) + F(4)!! + 6 = 6 + F(4)!! + F(8) \times (5+1)!$$
$$\mathbf{15847} := (1+5)! \times F(8) + F(4)!! + 7 = 7 + F(4)!! + F(8) \times (5+1)!$$
$$\mathbf{15848} := (1+5)! \times F(8) + F(4)!! + 8 = 8 + F(4)!! + F(8) \times (5+1)!$$
$$\mathbf{15849} := (1+5)! \times F(8) + F(4)!! + 9 = 9 + F(4)!! + F(8) \times (5+1)!$$

$$\mathbf{18440} := F(1 + F(8)) + F(4)^{F(4)!} + 0 = 0 + F(4)^{F(4)!} + F(F(8)+1)$$
$$\mathbf{18441} := F(1 + F(8)) + F(4)^{F(4)!} + 1 = 1 + F(4)^{F(4)!} + F(F(8)+1)$$
$$\mathbf{18442} := F(1 + F(8)) + F(4)^{F(4)!} + 2 = 2 + F(4)^{F(4)!} + F(F(8)+1)$$
$$\mathbf{18443} := F(1 + F(8)) + F(4)^{F(4)!} + 3 = 3 + F(4)^{F(4)!} + F(F(8)+1)$$
$$\mathbf{18444} := F(1 + F(8)) + F(4)^{F(4)!} + 4 = 4 + F(4)^{F(4)!} + F(F(8)+1)$$
$$\mathbf{18445} := F(1 + F(8)) + F(4)^{F(4)!} + 5 = 5 + F(4)^{F(4)!} + F(F(8)+1)$$
$$\mathbf{18446} := F(1 + F(8)) + F(4)^{F(4)!} + 6 = 6 + F(4)^{F(4)!} + F(F(8)+1)$$

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$$\mathbf{18447} := F(1+F(8))+F(4)^{F(4)!}+7 = 7+F(4)^{F(4)!}+F(F(8)+1)$$
$$\mathbf{18448} := F(1+F(8))+F(4)^{F(4)!}+8 = 8+F(4)^{F(4)!}+F(F(8)+1)$$
$$\mathbf{18449} := F(1+F(8))+F(4)^{F(4)!}+9 = 9+F(4)^{F(4)!}+F(F(8)+1)$$

$$\mathbf{19440} := 1\times 9\times F(4)\times F(4)!!+0 = 0+F(4)\times F(4)!!\times 9\times 1$$
$$\mathbf{19441} := 1\times 9\times F(4)\times F(4)!!+1 = 1+F(4)\times F(4)!!\times 9\times 1$$
$$\mathbf{19442} := 1\times 9\times F(4)\times F(4)!!+2 = 2+F(4)\times F(4)!!\times 9\times 1$$
$$\mathbf{19443} := 1\times 9\times F(4)\times F(4)!!+3 = 3+F(4)\times F(4)!!\times 9\times 1$$
$$\mathbf{19444} := 1\times 9\times F(4)\times F(4)!!+4 = 4+F(4)\times F(4)!!\times 9\times 1$$
$$\mathbf{19445} := 1\times 9\times F(4)\times F(4)!!+5 = 5+F(4)\times F(4)!!\times 9\times 1$$
$$\mathbf{19446} := 1\times 9\times F(4)\times F(4)!!+6 = 6+F(4)\times F(4)!!\times 9\times 1$$
$$\mathbf{19447} := 1\times 9\times F(4)\times F(4)!!+7 = 7+F(4)\times F(4)!!\times 9\times 1$$
$$\mathbf{19448} := 1\times 9\times F(4)\times F(4)!!+8 = 8+F(4)\times F(4)!!\times 9\times 1$$
$$\mathbf{19449} := 1\times 9\times F(4)\times F(4)!!+9 = 9+F(4)\times F(4)!!\times 9\times 1$$

$$\mathbf{20880} := (2+0!)!!\times(8+F(8))+0 = 0+(8+F(8))\times(0!+2)!!$$
$$\mathbf{20881} := (2+0!)!!\times(8+F(8))+1 = 1+(8+F(8))\times(0!+2)!!$$
$$\mathbf{20882} := (2+0!)!!\times(8+F(8))+2 = 2+(8+F(8))\times(0!+2)!!$$
$$\mathbf{20883} := (2+0!)!!\times(8+F(8))+3 = 3+(8+F(8))\times(0!+2)!!$$
$$\mathbf{20884} := (2+0!)!!\times(8+F(8))+4 = 4+(8+F(8))\times(0!+2)!!$$
$$\mathbf{20885} := (2+0!)!!\times(8+F(8))+5 = 5+(8+F(8))\times(0!+2)!!$$
$$\mathbf{20886} := (2+0!)!!\times(8+F(8))+6 = 6+(8+F(8))\times(0!+2)!!$$
$$\mathbf{20887} := (2+0!)!!\times(8+F(8))+7 = 7+(8+F(8))\times(0!+2)!!$$
$$\mathbf{20888} := (2+0!)!!\times(8+F(8))+8 = 8+(8+F(8))\times(0!+2)!!$$
$$\mathbf{20889} := (2+0!)!!\times(8+F(8))+9 = 9+(8+F(8))\times(0!+2)!!$$

$$\mathbf{21650} := 2\times(-1+F(F(F(6)))-5!)+0 = 0+(-5!+F(F(F(6)))-1)\times 2$$
$$\mathbf{21651} := 2\times(-1+F(F(F(6)))-5!)+1 = 1+(-5!+F(F(F(6)))-1)\times 2$$
$$\mathbf{21652} := 2\times(-1+F(F(F(6)))-5!)+2 = 2+(-5!+F(F(F(6)))-1)\times 2$$
$$\mathbf{21653} := 2\times(-1+F(F(F(6)))-5!)+3 = 3+(-5!+F(F(F(6)))-1)\times 2$$
$$\mathbf{21654} := 2\times(-1+F(F(F(6)))-5!)+4 = 4+(-5!+F(F(F(6)))-1)\times 2$$
$$\mathbf{21655} := 2\times(-1+F(F(F(6)))-5!)+5 = 5+(-5!+F(F(F(6)))-1)\times 2$$
$$\mathbf{21656} := 2\times(-1+F(F(F(6)))-5!)+6 = 6+(-5!+F(F(F(6)))-1)\times 2$$
$$\mathbf{21657} := 2\times(-1+F(F(F(6)))-5!)+7 = 7+(-5!+F(F(F(6)))-1)\times 2$$
$$\mathbf{21658} := 2\times(-1+F(F(F(6)))-5!)+8 = 8+(-5!+F(F(F(6)))-1)\times 2$$
$$\mathbf{21659} := 2\times(-1+F(F(F(6)))-5!)+9 = 9+(-5!+F(F(F(6)))-1)\times 2$$

$$\mathbf{21940} := 2\times(F(F(-1+9))+4!)+0 = 0+(4!+F(F(9-1)))\times 2$$
$$\mathbf{21941} := 2\times(F(F(-1+9))+4!)+1 = 1+(4!+F(F(9-1)))\times 2$$
$$\mathbf{21942} := 2\times(F(F(-1+9))+4!)+2 = 2+(4!+F(F(9-1)))\times 2$$

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$$\mathbf{21943} := 2\times(F(F(-1+9))+4!)+3 = 3+(4!+F(F(9-1)))\times 2$$
$$\mathbf{21944} := 2\times(F(F(-1+9))+4!)+4 = 4+(4!+F(F(9-1)))\times 2$$
$$\mathbf{21945} := 2\times(F(F(-1+9))+4!)+5 = 5+(4!+F(F(9-1)))\times 2$$
$$\mathbf{21946} := 2\times(F(F(-1+9))+4!)+6 = 6+(4!+F(F(9-1)))\times 2$$
$$\mathbf{21947} := 2\times(F(F(-1+9))+4!)+7 = 7+(4!+F(F(9-1)))\times 2$$
$$\mathbf{21948} := 2\times(F(F(-1+9))+4!)+8 = 8+(4!+F(F(9-1)))\times 2$$
$$\mathbf{21949} := 2\times(F(F(-1+9))+4!)+9 = 9+(4!+F(F(9-1)))\times 2$$

$$\mathbf{22610} := -F(22)+F(6)!+1+0 = 0+1+F(6)!-F(22)$$
$$\mathbf{22611} := -F(22)+F(6)!+1+1 = 1+1+F(6)!-F(22)$$
$$\mathbf{22612} := -F(22)+F(6)!+1+2 = 2+1+F(6)!-F(22)$$
$$\mathbf{22613} := -F(22)+F(6)!+1+3 = 3+1+F(6)!-F(22)$$
$$\mathbf{22614} := -F(22)+F(6)!+1+4 = 4+1+F(6)!-F(22)$$
$$\mathbf{22615} := -F(22)+F(6)!+1+5 = 5+1+F(6)!-F(22)$$
$$\mathbf{22616} := -F(22)+F(6)!+1+6 = 6+1+F(6)!-F(22)$$
$$\mathbf{22617} := -F(22)+F(6)!+1+7 = 7+1+F(6)!-F(22)$$
$$\mathbf{22618} := -F(22)+F(6)!+1+8 = 8+1+F(6)!-F(22)$$
$$\mathbf{22619} := -F(22)+F(6)!+1+9 = 9+1+F(6)!-F(22)$$

$$\mathbf{22630} := -F(22)+F(6)!+F(F(3!))+0 = 0+F(3!)!+F(F(6))-F(22)$$
$$\mathbf{22631} := -F(22)+F(6)!+F(F(3!))+1 = 1+F(3!)!+F(F(6))-F(22)$$
$$\mathbf{22632} := -F(22)+F(6)!+F(F(3!))+2 = 2+F(3!)!+F(F(6))-F(22)$$
$$\mathbf{22633} := -F(22)+F(6)!+F(F(3!))+3 = 3+F(3!)!+F(F(6))-F(22)$$
$$\mathbf{22634} := -F(22)+F(6)!+F(F(3!))+4 = 4+F(3!)!+F(F(6))-F(22)$$
$$\mathbf{22635} := -F(22)+F(6)!+F(F(3!))+5 = 5+F(3!)!+F(F(6))-F(22)$$
$$\mathbf{22636} := -F(22)+F(6)!+F(F(3!))+6 = 6+F(3!)!+F(F(6))-F(22)$$
$$\mathbf{22637} := -F(22)+F(6)!+F(F(3!))+7 = 7+F(3!)!+F(F(6))-F(22)$$
$$\mathbf{22638} := -F(22)+F(6)!+F(F(3!))+8 = 8+F(3!)!+F(F(6))-F(22)$$
$$\mathbf{22639} := -F(22)+F(6)!+F(F(3!))+9 = 9+F(3!)!+F(F(6))-F(22)$$

$$\mathbf{22730} := F(22)+7!-F(F(3!))+0 = 0-F(F(3!))+7!+F(22)$$
$$\mathbf{22731} := F(22)+7!-F(F(3!))+1 = 1-F(F(3!))+7!+F(22)$$
$$\mathbf{22732} := F(22)+7!-F(F(3!))+2 = 2-F(F(3!))+7!+F(22)$$
$$\mathbf{22733} := F(22)+7!-F(F(3!))+3 = 3-F(F(3!))+7!+F(22)$$
$$\mathbf{22734} := F(22)+7!-F(F(3!))+4 = 4-F(F(3!))+7!+F(22)$$
$$\mathbf{22735} := F(22)+7!-F(F(3!))+5 = 5-F(F(3!))+7!+F(22)$$
$$\mathbf{22736} := F(22)+7!-F(F(3!))+6 = 6-F(F(3!))+7!+F(22)$$
$$\mathbf{22737} := F(22)+7!-F(F(3!))+7 = 7-F(F(3!))+7!+F(22)$$
$$\mathbf{22738} := F(22)+7!-F(F(3!))+8 = 8-F(F(3!))+7!+F(22)$$
$$\mathbf{22739} := F(22)+7!-F(F(3!))+9 = 9-F(F(3!))+7!+F(22)$$

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$$\mathbf{23040} := (2+30)\times F(4)!!+0 \;=\; 0+F(4)!!\times 032$$
$$\mathbf{23041} := (2+30)\times F(4)!!+1 \;=\; 1+F(4)!!\times 032$$
$$\mathbf{23042} := (2+30)\times F(4)!!+2 \;=\; 2+F(4)!!\times 032$$
$$\mathbf{23043} := (2+30)\times F(4)!!+3 \;=\; 3+F(4)!!\times 032$$
$$\mathbf{23044} := (2+30)\times F(4)!!+4 \;=\; 4+F(4)!!\times 032$$
$$\mathbf{23045} := (2+30)\times F(4)!!+5 \;=\; 5+F(4)!!\times 032$$
$$\mathbf{23046} := (2+30)\times F(4)!!+6 \;=\; 6+F(4)!!\times 032$$
$$\mathbf{23047} := (2+30)\times F(4)!!+7 \;=\; 7+F(4)!!\times 032$$
$$\mathbf{23048} := (2+30)\times F(4)!!+8 \;=\; 8+F(4)!!\times 032$$
$$\mathbf{23049} := (2+30)\times F(4)!!+9 \;=\; 9+F(4)!!\times 032$$

$$\mathbf{23640} := (-2+F(F(3)\times F(6)))\times 4!+0 \;=\; 0+4!\times(F(F(6)\times F(3))-2)$$
$$\mathbf{23641} := (-2+F(F(3)\times F(6)))\times 4!+1 \;=\; 1+4!\times(F(F(6)\times F(3))-2)$$
$$\mathbf{23642} := (-2+F(F(3)\times F(6)))\times 4!+2 \;=\; 2+4!\times(F(F(6)\times F(3))-2)$$
$$\mathbf{23643} := (-2+F(F(3)\times F(6)))\times 4!+3 \;=\; 3+4!\times(F(F(6)\times F(3))-2)$$
$$\mathbf{23644} := (-2+F(F(3)\times F(6)))\times 4!+4 \;=\; 4+4!\times(F(F(6)\times F(3))-2)$$
$$\mathbf{23645} := (-2+F(F(3)\times F(6)))\times 4!+5 \;=\; 5+4!\times(F(F(6)\times F(3))-2)$$
$$\mathbf{23646} := (-2+F(F(3)\times F(6)))\times 4!+6 \;=\; 6+4!\times(F(F(6)\times F(3))-2)$$
$$\mathbf{23647} := (-2+F(F(3)\times F(6)))\times 4!+7 \;=\; 7+4!\times(F(F(6)\times F(3))-2)$$
$$\mathbf{23648} := (-2+F(F(3)\times F(6)))\times 4!+8 \;=\; 8+4!\times(F(F(6)\times F(3))-2)$$
$$\mathbf{23649} := (-2+F(F(3)\times F(6)))\times 4!+9 \;=\; 9+4!\times(F(F(6)\times F(3))-2)$$

$$\mathbf{23760} := (-F(2)+F(F(3)+7))\times 6!+0 \;=\; 0+6!\times(F(7+F(3))-F(2))$$
$$\mathbf{23761} := (-F(2)+F(F(3)+7))\times 6!+1 \;=\; 1+6!\times(F(7+F(3))-F(2))$$
$$\mathbf{23762} := (-F(2)+F(F(3)+7))\times 6!+2 \;=\; 2+6!\times(F(7+F(3))-F(2))$$
$$\mathbf{23763} := (-F(2)+F(F(3)+7))\times 6!+3 \;=\; 3+6!\times(F(7+F(3))-F(2))$$
$$\mathbf{23764} := (-F(2)+F(F(3)+7))\times 6!+4 \;=\; 4+6!\times(F(7+F(3))-F(2))$$
$$\mathbf{23765} := (-F(2)+F(F(3)+7))\times 6!+5 \;=\; 5+6!\times(F(7+F(3))-F(2))$$
$$\mathbf{23766} := (-F(2)+F(F(3)+7))\times 6!+6 \;=\; 6+6!\times(F(7+F(3))-F(2))$$
$$\mathbf{23767} := (-F(2)+F(F(3)+7))\times 6!+7 \;=\; 7+6!\times(F(7+F(3))-F(2))$$
$$\mathbf{23768} := (-F(2)+F(F(3)+7))\times 6!+8 \;=\; 8+6!\times(F(7+F(3))-F(2))$$
$$\mathbf{23769} := (-F(2)+F(F(3)+7))\times 6!+9 \;=\; 9+6!\times(F(7+F(3))-F(2))$$

$$\mathbf{24490} := 2+F(F(4)!)+F(4)!!\times F(9)+0 \;=\; 0+F(9)\times F(4)!!+F(F(4)!)+2$$
$$\mathbf{24491} := 2+F(F(4)!)+F(4)!!\times F(9)+1 \;=\; 1+F(9)\times F(4)!!+F(F(4)!)+2$$
$$\mathbf{24492} := 2+F(F(4)!)+F(4)!!\times F(9)+2 \;=\; 2+F(9)\times F(4)!!+F(F(4)!)+2$$
$$\mathbf{24493} := 2+F(F(4)!)+F(4)!!\times F(9)+3 \;=\; 3+F(9)\times F(4)!!+F(F(4)!)+2$$
$$\mathbf{24494} := 2+F(F(4)!)+F(4)!!\times F(9)+4 \;=\; 4+F(9)\times F(4)!!+F(F(4)!)+2$$
$$\mathbf{24495} := 2+F(F(4)!)+F(4)!!\times F(9)+5 \;=\; 5+F(9)\times F(4)!!+F(F(4)!)+2$$

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$$\mathbf{24496} := 2 + F(F(4)!) + F(4)!! \times F(9) + 6 = 6 + F(9) \times F(4)!! + F(F(4)!) + 2$$
$$\mathbf{24497} := 2 + F(F(4)!) + F(4)!! \times F(9) + 7 = 7 + F(9) \times F(4)!! + F(F(4)!) + 2$$
$$\mathbf{24498} := 2 + F(F(4)!) + F(4)!! \times F(9) + 8 = 8 + F(9) \times F(4)!! + F(F(4)!) + 2$$
$$\mathbf{24499} := 2 + F(F(4)!) + F(4)!! \times F(9) + 9 = 9 + F(9) \times F(4)!! + F(F(4)!) + 2$$

$$\mathbf{24650} := F(F(2) + F(F(4)!)) \times (6! + 5) + 0 = 0 + (5 + 6!) \times F(F(4)^2)$$
$$\mathbf{24651} := F(F(2) + F(F(4)!)) \times (6! + 5) + 1 = 1 + (5 + 6!) \times F(F(4)^2)$$
$$\mathbf{24652} := F(F(2) + F(F(4)!)) \times (6! + 5) + 2 = 2 + (5 + 6!) \times F(F(4)^2)$$
$$\mathbf{24653} := F(F(2) + F(F(4)!)) \times (6! + 5) + 3 = 3 + (5 + 6!) \times F(F(4)^2)$$
$$\mathbf{24654} := F(F(2) + F(F(4)!)) \times (6! + 5) + 4 = 4 + (5 + 6!) \times F(F(4)^2)$$
$$\mathbf{24655} := F(F(2) + F(F(4)!)) \times (6! + 5) + 5 = 5 + (5 + 6!) \times F(F(4)^2)$$
$$\mathbf{24656} := F(F(2) + F(F(4)!)) \times (6! + 5) + 6 = 6 + (5 + 6!) \times F(F(4)^2)$$
$$\mathbf{24657} := F(F(2) + F(F(4)!)) \times (6! + 5) + 7 = 7 + (5 + 6!) \times F(F(4)^2)$$
$$\mathbf{24658} := F(F(2) + F(F(4)!)) \times (6! + 5) + 8 = 8 + (5 + 6!) \times F(F(4)^2)$$
$$\mathbf{24659} := F(F(2) + F(F(4)!)) \times (6! + 5) + 9 = 9 + (5 + 6!) \times F(F(4)^2)$$

$$\mathbf{25920} := (F(2) + 5)! \times (F(9) + 2) + 0 = 0 + (2 + F(9)) \times (5 + F(2))!$$
$$\mathbf{25921} := (F(2) + 5)! \times (F(9) + 2) + 1 = 1 + (2 + F(9)) \times (5 + F(2))!$$
$$\mathbf{25922} := (F(2) + 5)! \times (F(9) + 2) + 2 = 2 + (2 + F(9)) \times (5 + F(2))!$$
$$\mathbf{25923} := (F(2) + 5)! \times (F(9) + 2) + 3 = 3 + (2 + F(9)) \times (5 + F(2))!$$
$$\mathbf{25924} := (F(2) + 5)! \times (F(9) + 2) + 4 = 4 + (2 + F(9)) \times (5 + F(2))!$$
$$\mathbf{25925} := (F(2) + 5)! \times (F(9) + 2) + 5 = 5 + (2 + F(9)) \times (5 + F(2))!$$
$$\mathbf{25926} := (F(2) + 5)! \times (F(9) + 2) + 6 = 6 + (2 + F(9)) \times (5 + F(2))!$$
$$\mathbf{25927} := (F(2) + 5)! \times (F(9) + 2) + 7 = 7 + (2 + F(9)) \times (5 + F(2))!$$
$$\mathbf{25928} := (F(2) + 5)! \times (F(9) + 2) + 8 = 8 + (2 + F(9)) \times (5 + F(2))!$$
$$\mathbf{25929} := (F(2) + 5)! \times (F(9) + 2) + 9 = 9 + (2 + F(9)) \times (5 + F(2))!$$

$$\mathbf{27330} := (2^7)^{F(3)} + F(F(F(3!))) + 0 = 0 + F(F(F(3!))) + F(3)^{7\times 2}$$
$$\mathbf{27331} := (2^7)^{F(3)} + F(F(F(3!))) + 1 = 1 + F(F(F(3!))) + F(3)^{7\times 2}$$
$$\mathbf{27332} := (2^7)^{F(3)} + F(F(F(3!))) + 2 = 2 + F(F(F(3!))) + F(3)^{7\times 2}$$
$$\mathbf{27333} := (2^7)^{F(3)} + F(F(F(3!))) + 3 = 3 + F(F(F(3!))) + F(3)^{7\times 2}$$
$$\mathbf{27334} := (2^7)^{F(3)} + F(F(F(3!))) + 4 = 4 + F(F(F(3!))) + F(3)^{7\times 2}$$
$$\mathbf{27335} := (2^7)^{F(3)} + F(F(F(3!))) + 5 = 5 + F(F(F(3!))) + F(3)^{7\times 2}$$
$$\mathbf{27336} := (2^7)^{F(3)} + F(F(F(3!))) + 6 = 6 + F(F(F(3!))) + F(3)^{7\times 2}$$
$$\mathbf{27337} := (2^7)^{F(3)} + F(F(F(3!))) + 7 = 7 + F(F(F(3!))) + F(3)^{7\times 2}$$
$$\mathbf{27338} := (2^7)^{F(3)} + F(F(F(3!))) + 8 = 8 + F(F(F(3!))) + F(3)^{7\times 2}$$
$$\mathbf{27339} := (2^7)^{F(3)} + F(F(F(3!))) + 9 = 9 + F(F(F(3!))) + F(3)^{7\times 2}$$

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$$\mathbf{27360} := 2 \times (F(7) + 3!) \times 6! + 0 = 0 + 6! \times (3! + F(7)) \times 2$$
$$\mathbf{27361} := 2 \times (F(7) + 3!) \times 6! + 1 = 1 + 6! \times (3! + F(7)) \times 2$$
$$\mathbf{27362} := 2 \times (F(7) + 3!) \times 6! + 2 = 2 + 6! \times (3! + F(7)) \times 2$$
$$\mathbf{27363} := 2 \times (F(7) + 3!) \times 6! + 3 = 3 + 6! \times (3! + F(7)) \times 2$$
$$\mathbf{27364} := 2 \times (F(7) + 3!) \times 6! + 4 = 4 + 6! \times (3! + F(7)) \times 2$$
$$\mathbf{27365} := 2 \times (F(7) + 3!) \times 6! + 5 = 5 + 6! \times (3! + F(7)) \times 2$$
$$\mathbf{27366} := 2 \times (F(7) + 3!) \times 6! + 6 = 6 + 6! \times (3! + F(7)) \times 2$$
$$\mathbf{27367} := 2 \times (F(7) + 3!) \times 6! + 7 = 7 + 6! \times (3! + F(7)) \times 2$$
$$\mathbf{27368} := 2 \times (F(7) + 3!) \times 6! + 8 = 8 + 6! \times (3! + F(7)) \times 2$$
$$\mathbf{27369} := 2 \times (F(7) + 3!) \times 6! + 9 = 9 + 6! \times (3! + F(7)) \times 2$$

$$\mathbf{27720} := (-2 + F(7)) \times 7!/2 + 0 = 0 + (-2 + F(7)) \times 7!/2$$
$$\mathbf{27721} := (-2 + F(7)) \times 7!/2 + 1 = 1 + (-2 + F(7)) \times 7!/2$$
$$\mathbf{27722} := (-2 + F(7)) \times 7!/2 + 2 = 2 + (-2 + F(7)) \times 7!/2$$
$$\mathbf{27723} := (-2 + F(7)) \times 7!/2 + 3 = 3 + (-2 + F(7)) \times 7!/2$$
$$\mathbf{27724} := (-2 + F(7)) \times 7!/2 + 4 = 4 + (-2 + F(7)) \times 7!/2$$
$$\mathbf{27725} := (-2 + F(7)) \times 7!/2 + 5 = 5 + (-2 + F(7)) \times 7!/2$$
$$\mathbf{27726} := (-2 + F(7)) \times 7!/2 + 6 = 6 + (-2 + F(7)) \times 7!/2$$
$$\mathbf{27727} := (-2 + F(7)) \times 7!/2 + 7 = 7 + (-2 + F(7)) \times 7!/2$$
$$\mathbf{27728} := (-2 + F(7)) \times 7!/2 + 8 = 8 + (-2 + F(7)) \times 7!/2$$
$$\mathbf{27729} := (-2 + F(7)) \times 7!/2 + 9 = 9 + (-2 + F(7)) \times 7!/2$$

$$\mathbf{27840} := (-F(2) + F(F(7))) \times (8 - F(4))! + 0 = 0 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$
$$\mathbf{27841} := (-F(2) + F(F(7))) \times (8 - F(4))! + 1 = 1 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$
$$\mathbf{27842} := (-F(2) + F(F(7))) \times (8 - F(4))! + 2 = 2 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$
$$\mathbf{27843} := (-F(2) + F(F(7))) \times (8 - F(4))! + 3 = 3 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$
$$\mathbf{27844} := (-F(2) + F(F(7))) \times (8 - F(4))! + 4 = 4 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$
$$\mathbf{27845} := (-F(2) + F(F(7))) \times (8 - F(4))! + 5 = 5 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$
$$\mathbf{27846} := (-F(2) + F(F(7))) \times (8 - F(4))! + 6 = 6 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$
$$\mathbf{27847} := (-F(2) + F(F(7))) \times (8 - F(4))! + 7 = 7 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$
$$\mathbf{27848} := (-F(2) + F(F(7))) \times (8 - F(4))! + 8 = 8 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$
$$\mathbf{27849} := (-F(2) + F(F(7))) \times (8 - F(4))! + 9 = 9 + (-F(4) + 8)! \times (F(F(7)) - F(2))$$

$$\mathbf{27960} := (-2 + 7)! \times F(F(9) - F(F(6))) + 0 = 0 + F(-F(F(6)) + F(9)) \times (7 - 2)!$$
$$\mathbf{27961} := (-2 + 7)! \times F(F(9) - F(F(6))) + 1 = 1 + F(-F(F(6)) + F(9)) \times (7 - 2)!$$
$$\mathbf{27962} := (-2 + 7)! \times F(F(9) - F(F(6))) + 2 = 2 + F(-F(F(6)) + F(9)) \times (7 - 2)!$$
$$\mathbf{27963} := (-2 + 7)! \times F(F(9) - F(F(6))) + 3 = 3 + F(-F(F(6)) + F(9)) \times (7 - 2)!$$
$$\mathbf{27964} := (-2 + 7)! \times F(F(9) - F(F(6))) + 4 = 4 + F(-F(F(6)) + F(9)) \times (7 - 2)!$$
$$\mathbf{27965} := (-2 + 7)! \times F(F(9) - F(F(6))) + 5 = 5 + F(-F(F(6)) + F(9)) \times (7 - 2)!$$
$$\mathbf{27966} := (-2 + 7)! \times F(F(9) - F(F(6))) + 6 = 6 + F(-F(F(6)) + F(9)) \times (7 - 2)!$$

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$$\mathbf{27967} := (-2+7)! \times F(F(9)-F(F(6)))+7 = 7+F(-F(F(6))+F(9)) \times (7-2)!$$
$$\mathbf{27968} := (-2+7)! \times F(F(9)-F(F(6)))+8 = 8+F(-F(F(6))+F(9)) \times (7-2)!$$
$$\mathbf{27969} := (-2+7)! \times F(F(9)-F(F(6)))+9 = 9+F(-F(F(6))+F(9)) \times (7-2)!$$

$$\mathbf{28540} := F(2+F(8))-5!+F(4)+0 = 0+F(4)-5!+F(F(8)+2)$$
$$\mathbf{28541} := F(2+F(8))-5!+F(4)+1 = 1+F(4)-5!+F(F(8)+2)$$
$$\mathbf{28542} := F(2+F(8))-5!+F(4)+2 = 2+F(4)-5!+F(F(8)+2)$$
$$\mathbf{28543} := F(2+F(8))-5!+F(4)+3 = 3+F(4)-5!+F(F(8)+2)$$
$$\mathbf{28544} := F(2+F(8))-5!+F(4)+4 = 4+F(4)-5!+F(F(8)+2)$$
$$\mathbf{28545} := F(2+F(8))-5!+F(4)+5 = 5+F(4)-5!+F(F(8)+2)$$
$$\mathbf{28546} := F(2+F(8))-5!+F(4)+6 = 6+F(4)-5!+F(F(8)+2)$$
$$\mathbf{28547} := F(2+F(8))-5!+F(4)+7 = 7+F(4)-5!+F(F(8)+2)$$
$$\mathbf{28548} := F(2+F(8))-5!+F(4)+8 = 8+F(4)-5!+F(F(8)+2)$$
$$\mathbf{28549} := F(2+F(8))-5!+F(4)+9 = 9+F(4)-5!+F(F(8)+2)$$

$$\mathbf{28560} := F(F(2)+8) \times (5!+6!)+0 = 0+(6!+5!) \times F(8+F(2))$$
$$\mathbf{28561} := F(F(2)+8) \times (5!+6!)+1 = 1+(6!+5!) \times F(8+F(2))$$
$$\mathbf{28562} := F(F(2)+8) \times (5!+6!)+2 = 2+(6!+5!) \times F(8+F(2))$$
$$\mathbf{28563} := F(F(2)+8) \times (5!+6!)+3 = 3+(6!+5!) \times F(8+F(2))$$
$$\mathbf{28564} := F(F(2)+8) \times (5!+6!)+4 = 4+(6!+5!) \times F(8+F(2))$$
$$\mathbf{28565} := F(F(2)+8) \times (5!+6!)+5 = 5+(6!+5!) \times F(8+F(2))$$
$$\mathbf{28566} := F(F(2)+8) \times (5!+6!)+6 = 6+(6!+5!) \times F(8+F(2))$$
$$\mathbf{28567} := F(F(2)+8) \times (5!+6!)+7 = 7+(6!+5!) \times F(8+F(2))$$
$$\mathbf{28568} := F(F(2)+8) \times (5!+6!)+8 = 8+(6!+5!) \times F(8+F(2))$$
$$\mathbf{28569} := F(F(2)+8) \times (5!+6!)+9 = 9+(6!+5!) \times F(8+F(2))$$

$$\mathbf{28630} := F(2+F(8))-F(F(6))-3!+0 = 0-3!-F(F(6))+F(F(8)+2)$$
$$\mathbf{28631} := F(2+F(8))-F(F(6))-3!+1 = 1-3!-F(F(6))+F(F(8)+2)$$
$$\mathbf{28632} := F(2+F(8))-F(F(6))-3!+2 = 2-3!-F(F(6))+F(F(8)+2)$$
$$\mathbf{28633} := F(2+F(8))-F(F(6))-3!+3 = 3-3!-F(F(6))+F(F(8)+2)$$
$$\mathbf{28634} := F(2+F(8))-F(F(6))-3!+4 = 4-3!-F(F(6))+F(F(8)+2)$$
$$\mathbf{28635} := F(2+F(8))-F(F(6))-3!+5 = 5-3!-F(F(6))+F(F(8)+2)$$
$$\mathbf{28636} := F(2+F(8))-F(F(6))-3!+6 = 6-3!-F(F(6))+F(F(8)+2)$$
$$\mathbf{28637} := F(2+F(8))-F(F(6))-3!+7 = 7-3!-F(F(6))+F(F(8)+2)$$
$$\mathbf{28638} := F(2+F(8))-F(F(6))-3!+8 = 8-3!-F(F(6))+F(F(8)+2)$$
$$\mathbf{28639} := F(2+F(8))-F(F(6))-3!+9 = 9-3!-F(F(6))+F(F(8)+2)$$

$$\mathbf{29380} := (-F(2)+9)!+3!-F(F(8))+0 = 0-F(F(8))+3!+(9-F(2))!$$
$$\mathbf{29381} := (-F(2)+9)!+3!-F(F(8))+1 = 1-F(F(8))+3!+(9-F(2))!$$
$$\mathbf{29382} := (-F(2)+9)!+3!-F(F(8))+2 = 2-F(F(8))+3!+(9-F(2))!$$

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$$\mathbf{29383} := (-F(2)+9)!+3!-F(F(8))+3 = 3-F(F(8))+3!+(9-F(2))!$$
$$\mathbf{29384} := (-F(2)+9)!+3!-F(F(8))+4 = 4-F(F(8))+3!+(9-F(2))!$$
$$\mathbf{29385} := (-F(2)+9)!+3!-F(F(8))+5 = 5-F(F(8))+3!+(9-F(2))!$$
$$\mathbf{29386} := (-F(2)+9)!+3!-F(F(8))+6 = 6-F(F(8))+3!+(9-F(2))!$$
$$\mathbf{29387} := (-F(2)+9)!+3!-F(F(8))+7 = 7-F(F(8))+3!+(9-F(2))!$$
$$\mathbf{29388} := (-F(2)+9)!+3!-F(F(8))+8 = 8-F(F(8))+3!+(9-F(2))!$$
$$\mathbf{29389} := (-F(2)+9)!+3!-F(F(8))+9 = 9-F(F(8))+3!+(9-F(2))!$$

$$\mathbf{30960} := 3!!\times(0!+F(9)+F(6))+0 = 0+(F(6)+F(9)+0!)\times 3!!$$
$$\mathbf{30961} := 3!!\times(0!+F(9)+F(6))+1 = 1+(F(6)+F(9)+0!)\times 3!!$$
$$\mathbf{30962} := 3!!\times(0!+F(9)+F(6))+2 = 2+(F(6)+F(9)+0!)\times 3!!$$
$$\mathbf{30963} := 3!!\times(0!+F(9)+F(6))+3 = 3+(F(6)+F(9)+0!)\times 3!!$$
$$\mathbf{30964} := 3!!\times(0!+F(9)+F(6))+4 = 4+(F(6)+F(9)+0!)\times 3!!$$
$$\mathbf{30965} := 3!!\times(0!+F(9)+F(6))+5 = 5+(F(6)+F(9)+0!)\times 3!!$$
$$\mathbf{30966} := 3!!\times(0!+F(9)+F(6))+6 = 6+(F(6)+F(9)+0!)\times 3!!$$
$$\mathbf{30967} := 3!!\times(0!+F(9)+F(6))+7 = 7+(F(6)+F(9)+0!)\times 3!!$$
$$\mathbf{30968} := 3!!\times(0!+F(9)+F(6))+8 = 8+(F(6)+F(9)+0!)\times 3!!$$
$$\mathbf{30969} := 3!!\times(0!+F(9)+F(6))+9 = 9+(F(6)+F(9)+0!)\times 3!!$$

$$\mathbf{31940} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+0 = 0+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$
$$\mathbf{31941} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+1 = 1+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$
$$\mathbf{31942} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+2 = 2+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$
$$\mathbf{31943} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+3 = 3+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$
$$\mathbf{31944} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+4 = 4+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$
$$\mathbf{31945} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+5 = 5+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$
$$\mathbf{31946} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+6 = 6+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$
$$\mathbf{31947} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+7 = 7+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$
$$\mathbf{31948} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+8 = 8+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$
$$\mathbf{31949} := (F(F(3!))-1)\times F(F(9)/F(F(4)))+9 = 9+F(F(F(4)!)+9)\times(-1+F(F(3!)))$$

$$\mathbf{32880} := F(F(F(3!)))+2\times(F(F(8))+F(8))+0 = 0+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$
$$\mathbf{32881} := F(F(F(3!)))+2\times(F(F(8))+F(8))+1 = 1+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$
$$\mathbf{32882} := F(F(F(3!)))+2\times(F(F(8))+F(8))+2 = 2+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$
$$\mathbf{32883} := F(F(F(3!)))+2\times(F(F(8))+F(8))+3 = 3+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$
$$\mathbf{32884} := F(F(F(3!)))+2\times(F(F(8))+F(8))+4 = 4+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$
$$\mathbf{32885} := F(F(F(3!)))+2\times(F(F(8))+F(8))+5 = 5+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$
$$\mathbf{32886} := F(F(F(3!)))+2\times(F(F(8))+F(8))+6 = 6+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$
$$\mathbf{32887} := F(F(F(3!)))+2\times(F(F(8))+F(8))+7 = 7+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$
$$\mathbf{32888} := F(F(F(3!)))+2\times(F(F(8))+F(8))+8 = 8+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$
$$\mathbf{32889} := F(F(F(3!)))+2\times(F(F(8))+F(8))+9 = 9+(F(F(8))+F(8))\times 2+F(F(F(3!)))$$

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$$\mathbf{33070} := 3\times F(F(F(3!)))-0!+F(F(7))+0 \;=\; 0+F(F(7))-0!+3\times F(F(F(3!)))$$
$$\mathbf{33071} := 3\times F(F(F(3!)))-0!+F(F(7))+1 \;=\; 1+F(F(7))-0!+3\times F(F(F(3!)))$$
$$\mathbf{33072} := 3\times F(F(F(3!)))-0!+F(F(7))+2 \;=\; 2+F(F(7))-0!+3\times F(F(F(3!)))$$
$$\mathbf{33073} := 3\times F(F(F(3!)))-0!+F(F(7))+3 \;=\; 3+F(F(7))-0!+3\times F(F(F(3!)))$$
$$\mathbf{33074} := 3\times F(F(F(3!)))-0!+F(F(7))+4 \;=\; 4+F(F(7))-0!+3\times F(F(F(3!)))$$
$$\mathbf{33075} := 3\times F(F(F(3!)))-0!+F(F(7))+5 \;=\; 5+F(F(7))-0!+3\times F(F(F(3!)))$$
$$\mathbf{33076} := 3\times F(F(F(3!)))-0!+F(F(7))+6 \;=\; 6+F(F(7))-0!+3\times F(F(F(3!)))$$
$$\mathbf{33077} := 3\times F(F(F(3!)))-0!+F(F(7))+7 \;=\; 7+F(F(7))-0!+3\times F(F(F(3!)))$$
$$\mathbf{33078} := 3\times F(F(F(3!)))-0!+F(F(7))+8 \;=\; 8+F(F(7))-0!+3\times F(F(F(3!)))$$
$$\mathbf{33079} := 3\times F(F(F(3!)))-0!+F(F(7))+9 \;=\; 9+F(F(7))-0!+3\times F(F(F(3!)))$$

$$\mathbf{33270} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+0 \;=\; 0+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$
$$\mathbf{33271} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+1 \;=\; 1+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$
$$\mathbf{33272} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+2 \;=\; 2+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$
$$\mathbf{33273} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+3 \;=\; 3+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$
$$\mathbf{33274} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+4 \;=\; 4+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$
$$\mathbf{33275} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+5 \;=\; 5+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$
$$\mathbf{33276} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+6 \;=\; 6+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$
$$\mathbf{33277} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+7 \;=\; 7+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$
$$\mathbf{33278} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+8 \;=\; 8+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$
$$\mathbf{33279} := 3\times (F(F(F(3!)))+F(-F(2)+F(7)))+9 \;=\; 9+(F(F(7)-F(2))+F(F(F(3!))))\times 3$$

$$\mathbf{33280} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+0 \;=\; 0+(F(F(8)-2)-F(F(3!)))\times F(3!)$$
$$\mathbf{33281} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+1 \;=\; 1+(F(F(8)-2)-F(F(3!)))\times F(3!)$$
$$\mathbf{33282} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+2 \;=\; 2+(F(F(8)-2)-F(F(3!)))\times F(3!)$$
$$\mathbf{33283} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+3 \;=\; 3+(F(F(8)-2)-F(F(3!)))\times F(3!)$$
$$\mathbf{33284} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+4 \;=\; 4+(F(F(8)-2)-F(F(3!)))\times F(3!)$$
$$\mathbf{33285} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+5 \;=\; 5+(F(F(8)-2)-F(F(3!)))\times F(3!)$$
$$\mathbf{33286} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+6 \;=\; 6+(F(F(8)-2)-F(F(3!)))\times F(3!)$$
$$\mathbf{33287} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+7 \;=\; 7+(F(F(8)-2)-F(F(3!)))\times F(3!)$$
$$\mathbf{33288} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+8 \;=\; 8+(F(F(8)-2)-F(F(3!)))\times F(3!)$$
$$\mathbf{33289} := F(3!)\times (-F(F(3!))+F(-2+F(8)))+9 \;=\; 9+(F(F(8)-2)-F(F(3!)))\times F(3!)$$

$$\mathbf{33440} := -F(3!)+F(F(F(3!))-F(F(4)))\times F(F(4)!)+0 \;=\; 0+F(F(4)!)\times F(-F(F(4))+F(F(3!)))-F(3!)$$
$$\mathbf{33441} := -F(3!)+F(F(F(3!))-F(F(4)))\times F(F(4)!)+1 \;=\; 1+F(F(4)!)\times F(-F(F(4))+F(F(3!)))-F(3!)$$
$$\mathbf{33442} := -F(3!)+F(F(F(3!))-F(F(4)))\times F(F(4)!)+2 \;=\; 2+F(F(4)!)\times F(-F(F(4))+F(F(3!)))-F(3!)$$
$$\mathbf{33443} := -F(3!)+F(F(F(3!))-F(F(4)))\times F(F(4)!)+3 \;=\; 3+F(F(4)!)\times F(-F(F(4))+F(F(3!)))-F(3!)$$
$$\mathbf{33444} := -F(3!)+F(F(F(3!))-F(F(4)))\times F(F(4)!)+4 \;=\; 4+F(F(4)!)\times F(-F(F(4))+F(F(3!)))-F(3!)$$
$$\mathbf{33445} := -F(3!)+F(F(F(3!))-F(F(4)))\times F(F(4)!)+5 \;=\; 5+F(F(4)!)\times F(-F(F(4))+F(F(3!)))-F(3!)$$

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$$\mathbf{33446} := -F(3!) + F(F(F(3!)) - F(F(4))) \times F(F(4)!) + 6 = 6 + F(F(4)!) \times F(-F(F(4)) + F(F(3!))) - F(3!)$$
$$\mathbf{33447} := -F(3!) + F(F(F(3!)) - F(F(4))) \times F(F(4)!) + 7 = 7 + F(F(4)!) \times F(-F(F(4)) + F(F(3!))) - F(3!)$$
$$\mathbf{33448} := -F(3!) + F(F(F(3!)) - F(F(4))) \times F(F(4)!) + 8 = 8 + F(F(4)!) \times F(-F(F(4)) + F(F(3!))) - F(3!)$$
$$\mathbf{33449} := -F(3!) + F(F(F(3!)) - F(F(4))) \times F(F(4)!) + 9 = 9 + F(F(4)!) \times F(-F(F(4)) + F(F(3!))) - F(3!)$$

$$\mathbf{33450} := F(3) + F(3!) \times F(4! - 5) + 0 = 0 + F(-5 + 4!) \times F(3!) + F(3)$$
$$\mathbf{33451} := F(3) + F(3!) \times F(4! - 5) + 1 = 1 + F(-5 + 4!) \times F(3!) + F(3)$$
$$\mathbf{33452} := F(3) + F(3!) \times F(4! - 5) + 2 = 2 + F(-5 + 4!) \times F(3!) + F(3)$$
$$\mathbf{33453} := F(3) + F(3!) \times F(4! - 5) + 3 = 3 + F(-5 + 4!) \times F(3!) + F(3)$$
$$\mathbf{33454} := F(3) + F(3!) \times F(4! - 5) + 4 = 4 + F(-5 + 4!) \times F(3!) + F(3)$$
$$\mathbf{33455} := F(3) + F(3!) \times F(4! - 5) + 5 = 5 + F(-5 + 4!) \times F(3!) + F(3)$$
$$\mathbf{33456} := F(3) + F(3!) \times F(4! - 5) + 6 = 6 + F(-5 + 4!) \times F(3!) + F(3)$$
$$\mathbf{33457} := F(3) + F(3!) \times F(4! - 5) + 7 = 7 + F(-5 + 4!) \times F(3!) + F(3)$$
$$\mathbf{33458} := F(3) + F(3!) \times F(4! - 5) + 8 = 8 + F(-5 + 4!) \times F(3!) + F(3)$$
$$\mathbf{33459} := F(3) + F(3!) \times F(4! - 5) + 9 = 9 + F(-5 + 4!) \times F(3!) + F(3)$$

$$\mathbf{33600} := -F(3!)!/3! + F(6)! + 00 = 0 - F(06)!/3! + F(3!)!$$
$$\mathbf{33601} := -F(3!)!/3! + F(6)! + 01 = 1 - F(06)!/3! + F(3!)!$$
$$\mathbf{33602} := -F(3!)!/3! + F(6)! + 02 = 2 - F(06)!/3! + F(3!)!$$
$$\mathbf{33603} := -F(3!)!/3! + F(6)! + 03 = 3 - F(06)!/3! + F(3!)!$$
$$\mathbf{33604} := -F(3!)!/3! + F(6)! + 04 = 4 - F(06)!/3! + F(3!)!$$
$$\mathbf{33605} := -F(3!)!/3! + F(6)! + 05 = 5 - F(06)!/3! + F(3!)!$$
$$\mathbf{33606} := -F(3!)!/3! + F(6)! + 06 = 6 - F(06)!/3! + F(3!)!$$
$$\mathbf{33607} := -F(3!)!/3! + F(6)! + 07 = 7 - F(06)!/3! + F(3!)!$$
$$\mathbf{33608} := -F(3!)!/3! + F(6)! + 08 = 8 - F(06)!/3! + F(3!)!$$
$$\mathbf{33609} := -F(3!)!/3! + F(6)! + 09 = 9 - F(06)!/3! + F(3!)!$$

$$\mathbf{33640} := -F(3!)!/3! + F(6)! + 40 = 0 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$
$$\mathbf{33641} := -F(3!)!/3! + F(6)! + 41 = 1 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$
$$\mathbf{33642} := -F(3!)!/3! + F(6)! + 42 = 2 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$
$$\mathbf{33643} := -F(3!)!/3! + F(6)! + 43 = 3 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$
$$\mathbf{33644} := -F(3!)!/3! + F(6)! + 44 = 4 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$
$$\mathbf{33645} := -F(3!)!/3! + F(6)! + 45 = 5 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$
$$\mathbf{33646} := -F(3!)!/3! + F(6)! + 46 = 6 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$
$$\mathbf{33647} := -F(3!)!/3! + F(6)! + 47 = 7 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$
$$\mathbf{33648} := -F(3!)!/3! + F(6)! + 48 = 8 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$
$$\mathbf{33649} := -F(3!)!/3! + F(6)! + 49 = 9 + (4! + F(F(F(6)) - F(3))) \times F(3!)$$

$$\mathbf{33670} := -F(3!)!/3! + F(6)! + 70 = 0 + F(7) \times (F(6 \times 3) + 3!)$$
$$\mathbf{33671} := -F(3!)!/3! + F(6)! + 71 = 1 + F(7) \times (F(6 \times 3) + 3!)$$

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$$\mathbf{33672} := -F(3!)!/3! + F(6)! + 72 = 2 + F(7) \times (F(6 \times 3) + 3!)$$
$$\mathbf{33673} := -F(3!)!/3! + F(6)! + 73 = 3 + F(7) \times (F(6 \times 3) + 3!)$$
$$\mathbf{33674} := -F(3!)!/3! + F(6)! + 74 = 4 + F(7) \times (F(6 \times 3) + 3!)$$
$$\mathbf{33675} := -F(3!)!/3! + F(6)! + 75 = 5 + F(7) \times (F(6 \times 3) + 3!)$$
$$\mathbf{33676} := -F(3!)!/3! + F(6)! + 76 = 6 + F(7) \times (F(6 \times 3) + 3!)$$
$$\mathbf{33677} := -F(3!)!/3! + F(6)! + 77 = 7 + F(7) \times (F(6 \times 3) + 3!)$$
$$\mathbf{33678} := -F(3!)!/3! + F(6)! + 78 = 8 + F(7) \times (F(6 \times 3) + 3!)$$
$$\mathbf{33679} := -F(3!)!/3! + F(6)! + 79 = 9 + F(7) \times (F(6 \times 3) + 3!)$$

$$\mathbf{33770} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 0 = 0 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$
$$\mathbf{33771} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 1 = 1 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$
$$\mathbf{33772} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 2 = 2 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$
$$\mathbf{33773} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 3 = 3 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$
$$\mathbf{33774} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 4 = 4 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$
$$\mathbf{33775} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 5 = 5 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$
$$\mathbf{33776} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 6 = 6 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$
$$\mathbf{33777} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 7 = 7 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$
$$\mathbf{33778} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 8 = 8 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$
$$\mathbf{33779} := 3 \times (F(F(F(3!))) + F(F(7))) + F(F(7)) + 9 = 9 + F(F(7)) + (F(F(7)) + F(F(F(3!)))) \times 3$$

$$\mathbf{33840} := 3!! \times (F(3) + F(8) + 4!) + 0 = 0 + (4! + F(8) + F(3)) \times 3!!$$
$$\mathbf{33841} := 3!! \times (F(3) + F(8) + 4!) + 1 = 1 + (4! + F(8) + F(3)) \times 3!!$$
$$\mathbf{33842} := 3!! \times (F(3) + F(8) + 4!) + 2 = 2 + (4! + F(8) + F(3)) \times 3!!$$
$$\mathbf{33843} := 3!! \times (F(3) + F(8) + 4!) + 3 = 3 + (4! + F(8) + F(3)) \times 3!!$$
$$\mathbf{33844} := 3!! \times (F(3) + F(8) + 4!) + 4 = 4 + (4! + F(8) + F(3)) \times 3!!$$
$$\mathbf{33845} := 3!! \times (F(3) + F(8) + 4!) + 5 = 5 + (4! + F(8) + F(3)) \times 3!!$$
$$\mathbf{33846} := 3!! \times (F(3) + F(8) + 4!) + 6 = 6 + (4! + F(8) + F(3)) \times 3!!$$
$$\mathbf{33847} := 3!! \times (F(3) + F(8) + 4!) + 7 = 7 + (4! + F(8) + F(3)) \times 3!!$$
$$\mathbf{33848} := 3!! \times (F(3) + F(8) + 4!) + 8 = 8 + (4! + F(8) + F(3)) \times 3!!$$
$$\mathbf{33849} := 3!! \times (F(3) + F(8) + 4!) + 9 = 9 + (4! + F(8) + F(3)) \times 3!!$$

$$\mathbf{34280} := F(3!) - F(4!) + 2 \times 8! + 0 = 0 + 8! \times 2 - F(4!) + F(3!)$$
$$\mathbf{34281} := F(3!) - F(4!) + 2 \times 8! + 1 = 1 + 8! \times 2 - F(4!) + F(3!)$$
$$\mathbf{34282} := F(3!) - F(4!) + 2 \times 8! + 2 = 2 + 8! \times 2 - F(4!) + F(3!)$$
$$\mathbf{34283} := F(3!) - F(4!) + 2 \times 8! + 3 = 3 + 8! \times 2 - F(4!) + F(3!)$$
$$\mathbf{34284} := F(3!) - F(4!) + 2 \times 8! + 4 = 4 + 8! \times 2 - F(4!) + F(3!)$$
$$\mathbf{34285} := F(3!) - F(4!) + 2 \times 8! + 5 = 5 + 8! \times 2 - F(4!) + F(3!)$$
$$\mathbf{34286} := F(3!) - F(4!) + 2 \times 8! + 6 = 6 + 8! \times 2 - F(4!) + F(3!)$$
$$\mathbf{34287} := F(3!) - F(4!) + 2 \times 8! + 7 = 7 + 8! \times 2 - F(4!) + F(3!)$$
$$\mathbf{34288} := F(3!) - F(4!) + 2 \times 8! + 8 = 8 + 8! \times 2 - F(4!) + F(3!)$$

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$$\mathbf{34289} := F(3!) - F(4!) + 2 \times 8! + 9 = 9 + 8! \times 2 - F(4!) + F(3!)$$

$$\mathbf{34530} := (F(3!) \times F(4)!! - 5) \times 3! + 0 = 0 + 3! \times (5 + F(4)!! \times F(3!))$$
$$\mathbf{34531} := (F(3!) \times F(4)!! - 5) \times 3! + 1 = 1 + 3! \times (5 + F(4)!! \times F(3!))$$
$$\mathbf{34532} := (F(3!) \times F(4)!! - 5) \times 3! + 2 = 2 + 3! \times (5 + F(4)!! \times F(3!))$$
$$\mathbf{34533} := (F(3!) \times F(4)!! - 5) \times 3! + 3 = 3 + 3! \times (5 + F(4)!! \times F(3!))$$
$$\mathbf{34534} := (F(3!) \times F(4)!! - 5) \times 3! + 4 = 4 + 3! \times (5 + F(4)!! \times F(3!))$$
$$\mathbf{34535} := (F(3!) \times F(4)!! - 5) \times 3! + 5 = 5 + 3! \times (5 + F(4)!! \times F(3!))$$
$$\mathbf{34536} := (F(3!) \times F(4)!! - 5) \times 3! + 6 = 6 + 3! \times (5 + F(4)!! \times F(3!))$$
$$\mathbf{34537} := (F(3!) \times F(4)!! - 5) \times 3! + 7 = 7 + 3! \times (5 + F(4)!! \times F(3!))$$
$$\mathbf{34538} := (F(3!) \times F(4)!! - 5) \times 3! + 8 = 8 + 3! \times (5 + F(4)!! \times F(3!))$$
$$\mathbf{34539} := (F(3!) \times F(4)!! - 5) \times 3! + 9 = 9 + 3! \times (5 + F(4)!! \times F(3!))$$

$$\mathbf{34670} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 0 = 0 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$
$$\mathbf{34671} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 1 = 1 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$
$$\mathbf{34672} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 2 = 2 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$
$$\mathbf{34673} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 3 = 3 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$
$$\mathbf{34674} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 4 = 4 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$
$$\mathbf{34675} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 5 = 5 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$
$$\mathbf{34676} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 6 = 6 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$
$$\mathbf{34677} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 7 = 7 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$
$$\mathbf{34678} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 8 = 8 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$
$$\mathbf{34679} := F(3!)! - F(-F(4)! + F(F(6))) - 7! + 9 = 9 - 7! - F(F(F(6)) - F(4)!) + F(3!)!$$

$$\mathbf{34730} := F(3)! - 4! \times F(F(7)) + F(3!)! + 0 = 0 + F(3!)! - F(F(7)) \times 4! + F(3)$$
$$\mathbf{34731} := F(3)! - 4! \times F(F(7)) + F(3!)! + 1 = 1 + F(3!)! - F(F(7)) \times 4! + F(3)$$
$$\mathbf{34732} := F(3)! - 4! \times F(F(7)) + F(3!)! + 2 = 2 + F(3!)! - F(F(7)) \times 4! + F(3)$$
$$\mathbf{34733} := F(3)! - 4! \times F(F(7)) + F(3!)! + 3 = 3 + F(3!)! - F(F(7)) \times 4! + F(3)$$
$$\mathbf{34734} := F(3)! - 4! \times F(F(7)) + F(3!)! + 4 = 4 + F(3!)! - F(F(7)) \times 4! + F(3)$$
$$\mathbf{34735} := F(3)! - 4! \times F(F(7)) + F(3!)! + 5 = 5 + F(3!)! - F(F(7)) \times 4! + F(3)$$
$$\mathbf{34736} := F(3)! - 4! \times F(F(7)) + F(3!)! + 6 = 6 + F(3!)! - F(F(7)) \times 4! + F(3)$$
$$\mathbf{34737} := F(3)! - 4! \times F(F(7)) + F(3!)! + 7 = 7 + F(3!)! - F(F(7)) \times 4! + F(3)$$
$$\mathbf{34738} := F(3)! - 4! \times F(F(7)) + F(3!)! + 8 = 8 + F(3!)! - F(F(7)) \times 4! + F(3)$$
$$\mathbf{34739} := F(3)! - 4! \times F(F(7)) + F(3!)! + 9 = 9 + F(3!)! - F(F(7)) \times 4! + F(3)$$

$$\mathbf{35160} := F(3!)! - 5! - (1+6)! + 0 = 0 - (6+1)! - 5! + F(3!)!$$
$$\mathbf{35161} := F(3!)! - 5! - (1+6)! + 1 = 1 - (6+1)! - 5! + F(3!)!$$
$$\mathbf{35162} := F(3!)! - 5! - (1+6)! + 2 = 2 - (6+1)! - 5! + F(3!)!$$
$$\mathbf{35163} := F(3!)! - 5! - (1+6)! + 3 = 3 - (6+1)! - 5! + F(3!)!$$
$$\mathbf{35164} := F(3!)! - 5! - (1+6)! + 4 = 4 - (6+1)! - 5! + F(3!)!$$

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$$\mathbf{35165} := F(3!)! - 5! - (1+6)! + 5 = 5 - (6+1)! - 5! + F(3!)!$$
$$\mathbf{35166} := F(3!)! - 5! - (1+6)! + 6 = 6 - (6+1)! - 5! + F(3!)!$$
$$\mathbf{35167} := F(3!)! - 5! - (1+6)! + 7 = 7 - (6+1)! - 5! + F(3!)!$$
$$\mathbf{35168} := F(3!)! - 5! - (1+6)! + 8 = 8 - (6+1)! - 5! + F(3!)!$$
$$\mathbf{35169} := F(3!)! - 5! - (1+6)! + 9 = 9 - (6+1)! - 5! + F(3!)!$$

$$\mathbf{35400} := F(3!)! + 5! - (F(4)! + 0!)! + 0 = 0 - (0! + F(4)!)! + 5! + F(3!)!$$
$$\mathbf{35401} := F(3!)! + 5! - (F(4)! + 0!)! + 1 = 1 - (0! + F(4)!)! + 5! + F(3!)!$$
$$\mathbf{35402} := F(3!)! + 5! - (F(4)! + 0!)! + 2 = 2 - (0! + F(4)!)! + 5! + F(3!)!$$
$$\mathbf{35403} := F(3!)! + 5! - (F(4)! + 0!)! + 3 = 3 - (0! + F(4)!)! + 5! + F(3!)!$$
$$\mathbf{35404} := F(3!)! + 5! - (F(4)! + 0!)! + 4 = 4 - (0! + F(4)!)! + 5! + F(3!)!$$
$$\mathbf{35405} := F(3!)! + 5! - (F(4)! + 0!)! + 5 = 5 - (0! + F(4)!)! + 5! + F(3!)!$$
$$\mathbf{35406} := F(3!)! + 5! - (F(4)! + 0!)! + 6 = 6 - (0! + F(4)!)! + 5! + F(3!)!$$
$$\mathbf{35407} := F(3!)! + 5! - (F(4)! + 0!)! + 7 = 7 - (0! + F(4)!)! + 5! + F(3!)!$$
$$\mathbf{35408} := F(3!)! + 5! - (F(4)! + 0!)! + 8 = 8 - (0! + F(4)!)! + 5! + F(3!)!$$
$$\mathbf{35409} := F(3!)! + 5! - (F(4)! + 0!)! + 9 = 9 - (0! + F(4)!)! + 5! + F(3!)!$$

$$\mathbf{35430} := -F(F(3+5)) + F(4!) + F(3!) + 0 = 0 + F(3!) + F(4!) - F(F(5+3))$$
$$\mathbf{35431} := -F(F(3+5)) + F(4!) + F(3!) + 1 = 1 + F(3!) + F(4!) - F(F(5+3))$$
$$\mathbf{35432} := -F(F(3+5)) + F(4!) + F(3!) + 2 = 2 + F(3!) + F(4!) - F(F(5+3))$$
$$\mathbf{35433} := -F(F(3+5)) + F(4!) + F(3!) + 3 = 3 + F(3!) + F(4!) - F(F(5+3))$$
$$\mathbf{35434} := -F(F(3+5)) + F(4!) + F(3!) + 4 = 4 + F(3!) + F(4!) - F(F(5+3))$$
$$\mathbf{35435} := -F(F(3+5)) + F(4!) + F(3!) + 5 = 5 + F(3!) + F(4!) - F(F(5+3))$$
$$\mathbf{35436} := -F(F(3+5)) + F(4!) + F(3!) + 6 = 6 + F(3!) + F(4!) - F(F(5+3))$$
$$\mathbf{35437} := -F(F(3+5)) + F(4!) + F(3!) + 7 = 7 + F(3!) + F(4!) - F(F(5+3))$$
$$\mathbf{35438} := -F(F(3+5)) + F(4!) + F(3!) + 8 = 8 + F(3!) + F(4!) - F(F(5+3))$$
$$\mathbf{35439} := -F(F(3+5)) + F(4!) + F(3!) + 9 = 9 + F(3!) + F(4!) - F(F(5+3))$$

$$\mathbf{35440} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 0 = 0 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$
$$\mathbf{35441} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 1 = 1 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$
$$\mathbf{35442} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 2 = 2 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$
$$\mathbf{35443} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 3 = 3 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$
$$\mathbf{35444} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 4 = 4 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$
$$\mathbf{35445} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 5 = 5 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$
$$\mathbf{35446} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 6 = 6 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$
$$\mathbf{35447} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 7 = 7 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$
$$\mathbf{35448} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 8 = 8 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$
$$\mathbf{35449} := F(3!)! - F(5 \times F(4)) \times F(F(4)!) + 9 = 9 - F(F(4)!) \times F(F(4) \times 5) + F(3!)!$$

$$\mathbf{36660} := F(3!)! - 6 \times F(F(F(6)) - 6) + 0 = 0 - 6 \times F(F(F(6)) - 6) + F(3!)!$$

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$$\mathbf{36661} := F(3!)! - 6 \times F(F(F(6)) - 6) + 1 = 1 - 6 \times F(F(F(6)) - 6) + F(3!)!$$
$$\mathbf{36662} := F(3!)! - 6 \times F(F(F(6)) - 6) + 2 = 2 - 6 \times F(F(F(6)) - 6) + F(3!)!$$
$$\mathbf{36663} := F(3!)! - 6 \times F(F(F(6)) - 6) + 3 = 3 - 6 \times F(F(F(6)) - 6) + F(3!)!$$
$$\mathbf{36664} := F(3!)! - 6 \times F(F(F(6)) - 6) + 4 = 4 - 6 \times F(F(F(6)) - 6) + F(3!)!$$
$$\mathbf{36665} := F(3!)! - 6 \times F(F(F(6)) - 6) + 5 = 5 - 6 \times F(F(F(6)) - 6) + F(3!)!$$
$$\mathbf{36666} := F(3!)! - 6 \times F(F(F(6)) - 6) + 6 = 6 - 6 \times F(F(F(6)) - 6) + F(3!)!$$
$$\mathbf{36667} := F(3!)! - 6 \times F(F(F(6)) - 6) + 7 = 7 - 6 \times F(F(F(6)) - 6) + F(3!)!$$
$$\mathbf{36668} := F(3!)! - 6 \times F(F(F(6)) - 6) + 8 = 8 - 6 \times F(F(F(6)) - 6) + F(3!)!$$
$$\mathbf{36669} := F(3!)! - 6 \times F(F(F(6)) - 6) + 9 = 9 - 6 \times F(F(F(6)) - 6) + F(3!)!$$

$$\mathbf{36720} := F(3!)! + 6! \times (-7 + 2) + 0 = 0 + (2 - 7) \times 6! + F(3!)!$$
$$\mathbf{36721} := F(3!)! + 6! \times (-7 + 2) + 1 = 1 + (2 - 7) \times 6! + F(3!)!$$
$$\mathbf{36722} := F(3!)! + 6! \times (-7 + 2) + 2 = 2 + (2 - 7) \times 6! + F(3!)!$$
$$\mathbf{36723} := F(3!)! + 6! \times (-7 + 2) + 3 = 3 + (2 - 7) \times 6! + F(3!)!$$
$$\mathbf{36724} := F(3!)! + 6! \times (-7 + 2) + 4 = 4 + (2 - 7) \times 6! + F(3!)!$$
$$\mathbf{36725} := F(3!)! + 6! \times (-7 + 2) + 5 = 5 + (2 - 7) \times 6! + F(3!)!$$
$$\mathbf{36726} := F(3!)! + 6! \times (-7 + 2) + 6 = 6 + (2 - 7) \times 6! + F(3!)!$$
$$\mathbf{36727} := F(3!)! + 6! \times (-7 + 2) + 7 = 7 + (2 - 7) \times 6! + F(3!)!$$
$$\mathbf{36728} := F(3!)! + 6! \times (-7 + 2) + 8 = 8 + (2 - 7) \times 6! + F(3!)!$$
$$\mathbf{36729} := F(3!)! + 6! \times (-7 + 2) + 9 = 9 + (2 - 7) \times 6! + F(3!)!$$

$$\mathbf{37280} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 0 = 0 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$
$$\mathbf{37281} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 1 = 1 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$
$$\mathbf{37282} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 2 = 2 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$
$$\mathbf{37283} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 3 = 3 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$
$$\mathbf{37284} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 4 = 4 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$
$$\mathbf{37285} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 5 = 5 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$
$$\mathbf{37286} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 6 = 6 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$
$$\mathbf{37287} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 7 = 7 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$
$$\mathbf{37288} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 8 = 8 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$
$$\mathbf{37289} := F(3!) \times F(F(7)) \times (-F(2) + F(8)) + 9 = 9 + (F(8) - F(2)) \times F(F(7)) \times F(3!)$$

$$\mathbf{38760} := -(-3 + 8)! \times F(7) + F(6)! + 0 = 0 + F(6)! - F(7) \times (8 - 3)!$$
$$\mathbf{38761} := -(-3 + 8)! \times F(7) + F(6)! + 1 = 1 + F(6)! - F(7) \times (8 - 3)!$$
$$\mathbf{38762} := -(-3 + 8)! \times F(7) + F(6)! + 2 = 2 + F(6)! - F(7) \times (8 - 3)!$$
$$\mathbf{38763} := -(-3 + 8)! \times F(7) + F(6)! + 3 = 3 + F(6)! - F(7) \times (8 - 3)!$$
$$\mathbf{38764} := -(-3 + 8)! \times F(7) + F(6)! + 4 = 4 + F(6)! - F(7) \times (8 - 3)!$$
$$\mathbf{38765} := -(-3 + 8)! \times F(7) + F(6)! + 5 = 5 + F(6)! - F(7) \times (8 - 3)!$$
$$\mathbf{38766} := -(-3 + 8)! \times F(7) + F(6)! + 6 = 6 + F(6)! - F(7) \times (8 - 3)!$$
$$\mathbf{38767} := -(-3 + 8)! \times F(7) + F(6)! + 7 = 7 + F(6)! - F(7) \times (8 - 3)!$$

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$$\mathbf{38768} := -(-3+8)! \times F(7) + F(6)! + 8 = 8 + F(6)! - F(7) \times (8-3)!$$
$$\mathbf{38769} := -(-3+8)! \times F(7) + F(6)! + 9 = 9 + F(6)! - F(7) \times (8-3)!$$

$$\mathbf{39240} := F(3!)! - 9 \times (2+F(4))! + 0 = 0 - (F(4)+2)! \times 9 + (F(3!))!$$
$$\mathbf{39241} := F(3!)! - 9 \times (2+F(4))! + 1 = 1 - (F(4)+2)! \times 9 + (F(3!))!$$
$$\mathbf{39242} := F(3!)! - 9 \times (2+F(4))! + 2 = 2 - (F(4)+2)! \times 9 + (F(3!))!$$
$$\mathbf{39243} := F(3!)! - 9 \times (2+F(4))! + 3 = 3 - (F(4)+2)! \times 9 + (F(3!))!$$
$$\mathbf{39244} := F(3!)! - 9 \times (2+F(4))! + 4 = 4 - (F(4)+2)! \times 9 + (F(3!))!$$
$$\mathbf{39245} := F(3!)! - 9 \times (2+F(4))! + 5 = 5 - (F(4)+2)! \times 9 + (F(3!))!$$
$$\mathbf{39246} := F(3!)! - 9 \times (2+F(4))! + 6 = 6 - (F(4)+2)! \times 9 + (F(3!))!$$
$$\mathbf{39247} := F(3!)! - 9 \times (2+F(4))! + 7 = 7 - (F(4)+2)! \times 9 + (F(3!))!$$
$$\mathbf{39248} := F(3!)! - 9 \times (2+F(4))! + 8 = 8 - (F(4)+2)! \times 9 + (F(3!))!$$
$$\mathbf{39249} := F(3!)! - 9 \times (2+F(4))! + 9 = 9 - (F(4)+2)! \times 9 + (F(3!))!$$

$$\mathbf{39550} := F(3!)! - (F(9)+5!) \times 5 + 0 = 0 - 5 \times (5! + F(9)) + F(3!)!$$
$$\mathbf{39551} := F(3!)! - (F(9)+5!) \times 5 + 1 = 1 - 5 \times (5! + F(9)) + F(3!)!$$
$$\mathbf{39552} := F(3!)! - (F(9)+5!) \times 5 + 2 = 2 - 5 \times (5! + F(9)) + F(3!)!$$
$$\mathbf{39553} := F(3!)! - (F(9)+5!) \times 5 + 3 = 3 - 5 \times (5! + F(9)) + F(3!)!$$
$$\mathbf{39554} := F(3!)! - (F(9)+5!) \times 5 + 4 = 4 - 5 \times (5! + F(9)) + F(3!)!$$
$$\mathbf{39555} := F(3!)! - (F(9)+5!) \times 5 + 5 = 5 - 5 \times (5! + F(9)) + F(3!)!$$
$$\mathbf{39556} := F(3!)! - (F(9)+5!) \times 5 + 6 = 6 - 5 \times (5! + F(9)) + F(3!)!$$
$$\mathbf{39557} := F(3!)! - (F(9)+5!) \times 5 + 7 = 7 - 5 \times (5! + F(9)) + F(3!)!$$
$$\mathbf{39558} := F(3!)! - (F(9)+5!) \times 5 + 8 = 8 - 5 \times (5! + F(9)) + F(3!)!$$
$$\mathbf{39559} := F(3!)! - (F(9)+5!) \times 5 + 9 = 9 - 5 \times (5! + F(9)) + F(3!)!$$

$$\mathbf{39600} := -(-3+9)! + F(6)! + 00 = 0 + F(06)! - (9-3)!$$
$$\mathbf{39601} := -(-3+9)! + F(6)! + 01 = 1 + F(06)! - (9-3)!$$
$$\mathbf{39602} := -(-3+9)! + F(6)! + 02 = 2 + F(06)! - (9-3)!$$
$$\mathbf{39603} := -(-3+9)! + F(6)! + 03 = 3 + F(06)! - (9-3)!$$
$$\mathbf{39604} := -(-3+9)! + F(6)! + 04 = 4 + F(06)! - (9-3)!$$
$$\mathbf{39605} := -(-3+9)! + F(6)! + 05 = 5 + F(06)! - (9-3)!$$
$$\mathbf{39606} := -(-3+9)! + F(6)! + 06 = 6 + F(06)! - (9-3)!$$
$$\mathbf{39607} := -(-3+9)! + F(6)! + 07 = 7 + F(06)! - (9-3)!$$
$$\mathbf{39608} := -(-3+9)! + F(6)! + 08 = 8 + F(06)! - (9-3)!$$
$$\mathbf{39609} := -(-3+9)! + F(6)! + 09 = 9 + F(06)! - (9-3)!$$

$$\mathbf{39640} := -3!! + F(9) + F(6)! + F(4)! + 0 = 0 + F(4)! + F(6)! + F(9) - 3!!$$
$$\mathbf{39641} := -3!! + F(9) + F(6)! + F(4)! + 1 = 1 + F(4)! + F(6)! + F(9) - 3!!$$
$$\mathbf{39642} := -3!! + F(9) + F(6)! + F(4)! + 2 = 2 + F(4)! + F(6)! + F(9) - 3!!$$
$$\mathbf{39643} := -3!! + F(9) + F(6)! + F(4)! + 3 = 3 + F(4)! + F(6)! + F(9) - 3!!$$

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$$\mathbf{39644} := -3!! + F(9) + F(6)! + F(4)! + 4 = 4 + F(4)! + F(6)! + F(9) - 3!!$$
$$\mathbf{39645} := -3!! + F(9) + F(6)! + F(4)! + 5 = 5 + F(4)! + F(6)! + F(9) - 3!!$$
$$\mathbf{39646} := -3!! + F(9) + F(6)! + F(4)! + 6 = 6 + F(4)! + F(6)! + F(9) - 3!!$$
$$\mathbf{39647} := -3!! + F(9) + F(6)! + F(4)! + 7 = 7 + F(4)! + F(6)! + F(9) - 3!!$$
$$\mathbf{39648} := -3!! + F(9) + F(6)! + F(4)! + 8 = 8 + F(4)! + F(6)! + F(9) - 3!!$$
$$\mathbf{39649} := -3!! + F(9) + F(6)! + F(4)! + 9 = 9 + F(4)! + F(6)! + F(9) - 3!!$$

$$\mathbf{39710} := -F(3! + 9) + (7 + 1)! + 0 = 0 + (1 + 7)! - F(9 + 3!)$$
$$\mathbf{39711} := -F(3! + 9) + (7 + 1)! + 1 = 1 + (1 + 7)! - F(9 + 3!)$$
$$\mathbf{39712} := -F(3! + 9) + (7 + 1)! + 2 = 2 + (1 + 7)! - F(9 + 3!)$$
$$\mathbf{39713} := -F(3! + 9) + (7 + 1)! + 3 = 3 + (1 + 7)! - F(9 + 3!)$$
$$\mathbf{39714} := -F(3! + 9) + (7 + 1)! + 4 = 4 + (1 + 7)! - F(9 + 3!)$$
$$\mathbf{39715} := -F(3! + 9) + (7 + 1)! + 5 = 5 + (1 + 7)! - F(9 + 3!)$$
$$\mathbf{39716} := -F(3! + 9) + (7 + 1)! + 6 = 6 + (1 + 7)! - F(9 + 3!)$$
$$\mathbf{39717} := -F(3! + 9) + (7 + 1)! + 7 = 7 + (1 + 7)! - F(9 + 3!)$$
$$\mathbf{39718} := -F(3! + 9) + (7 + 1)! + 8 = 8 + (1 + 7)! - F(9 + 3!)$$
$$\mathbf{39719} := -F(3! + 9) + (7 + 1)! + 9 = 9 + (1 + 7)! - F(9 + 3!)$$

$$\mathbf{39880} := -F(3!) \times (F(9) + F(8)) + 8! + 0 = 0 + 8! - (F(8) + F(9)) \times F(3!)$$
$$\mathbf{39881} := -F(3!) \times (F(9) + F(8)) + 8! + 1 = 1 + 8! - (F(8) + F(9)) \times F(3!)$$
$$\mathbf{39882} := -F(3!) \times (F(9) + F(8)) + 8! + 2 = 2 + 8! - (F(8) + F(9)) \times F(3!)$$
$$\mathbf{39883} := -F(3!) \times (F(9) + F(8)) + 8! + 3 = 3 + 8! - (F(8) + F(9)) \times F(3!)$$
$$\mathbf{39884} := -F(3!) \times (F(9) + F(8)) + 8! + 4 = 4 + 8! - (F(8) + F(9)) \times F(3!)$$
$$\mathbf{39885} := -F(3!) \times (F(9) + F(8)) + 8! + 5 = 5 + 8! - (F(8) + F(9)) \times F(3!)$$
$$\mathbf{39886} := -F(3!) \times (F(9) + F(8)) + 8! + 6 = 6 + 8! - (F(8) + F(9)) \times F(3!)$$
$$\mathbf{39887} := -F(3!) \times (F(9) + F(8)) + 8! + 7 = 7 + 8! - (F(8) + F(9)) \times F(3!)$$
$$\mathbf{39888} := -F(3!) \times (F(9) + F(8)) + 8! + 8 = 8 + 8! - (F(8) + F(9)) \times F(3!)$$
$$\mathbf{39889} := -F(3!) \times (F(9) + F(8)) + 8! + 9 = 9 + 8! - (F(8) + F(9)) \times F(3!)$$

$$\mathbf{39960} := -(3! + F(9)) \times 9 + F(6)! + 0 = 0 + F(6)! - 9 \times (F(9) + 3!)$$
$$\mathbf{39961} := -(3! + F(9)) \times 9 + F(6)! + 1 = 1 + F(6)! - 9 \times (F(9) + 3!)$$
$$\mathbf{39962} := -(3! + F(9)) \times 9 + F(6)! + 2 = 2 + F(6)! - 9 \times (F(9) + 3!)$$
$$\mathbf{39963} := -(3! + F(9)) \times 9 + F(6)! + 3 = 3 + F(6)! - 9 \times (F(9) + 3!)$$
$$\mathbf{39964} := -(3! + F(9)) \times 9 + F(6)! + 4 = 4 + F(6)! - 9 \times (F(9) + 3!)$$
$$\mathbf{39965} := -(3! + F(9)) \times 9 + F(6)! + 5 = 5 + F(6)! - 9 \times (F(9) + 3!)$$
$$\mathbf{39966} := -(3! + F(9)) \times 9 + F(6)! + 6 = 6 + F(6)! - 9 \times (F(9) + 3!)$$
$$\mathbf{39967} := -(3! + F(9)) \times 9 + F(6)! + 7 = 7 + F(6)! - 9 \times (F(9) + 3!)$$
$$\mathbf{39968} := -(3! + F(9)) \times 9 + F(6)! + 8 = 8 + F(6)! - 9 \times (F(9) + 3!)$$
$$\mathbf{39969} := -(3! + F(9)) \times 9 + F(6)! + 9 = 9 + F(6)! - 9 \times (F(9) + 3!)$$

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$$\mathbf{39980} := -(F(F(3))+9)\times F(9)+8!+0 = 0+8!-F(9)\times(9+F(F(3)))$$
$$\mathbf{39981} := -(F(F(3))+9)\times F(9)+8!+1 = 1+8!-F(9)\times(9+F(F(3)))$$
$$\mathbf{39982} := -(F(F(3))+9)\times F(9)+8!+2 = 2+8!-F(9)\times(9+F(F(3)))$$
$$\mathbf{39983} := -(F(F(3))+9)\times F(9)+8!+3 = 3+8!-F(9)\times(9+F(F(3)))$$
$$\mathbf{39984} := -(F(F(3))+9)\times F(9)+8!+4 = 4+8!-F(9)\times(9+F(F(3)))$$
$$\mathbf{39985} := -(F(F(3))+9)\times F(9)+8!+5 = 5+8!-F(9)\times(9+F(F(3)))$$
$$\mathbf{39986} := -(F(F(3))+9)\times F(9)+8!+6 = 6+8!-F(9)\times(9+F(F(3)))$$
$$\mathbf{39987} := -(F(F(3))+9)\times F(9)+8!+7 = 7+8!-F(9)\times(9+F(F(3)))$$
$$\mathbf{39988} := -(F(F(3))+9)\times F(9)+8!+8 = 8+8!-F(9)\times(9+F(F(3)))$$
$$\mathbf{39989} := -(F(F(3))+9)\times F(9)+8!+9 = 9+8!-F(9)\times(9+F(F(3)))$$

$$\mathbf{40200} := -(4+0!)!+F((2+0!)!)!+0 = 0+F((0!+2)!)!-(0!+4)!$$
$$\mathbf{40201} := -(4+0!)!+F((2+0!)!)!+1 = 1+F((0!+2)!)!-(0!+4)!$$
$$\mathbf{40202} := -(4+0!)!+F((2+0!)!)!+2 = 2+F((0!+2)!)!-(0!+4)!$$
$$\mathbf{40203} := -(4+0!)!+F((2+0!)!)!+3 = 3+F((0!+2)!)!-(0!+4)!$$
$$\mathbf{40204} := -(4+0!)!+F((2+0!)!)!+4 = 4+F((0!+2)!)!-(0!+4)!$$
$$\mathbf{40205} := -(4+0!)!+F((2+0!)!)!+5 = 5+F((0!+2)!)!-(0!+4)!$$
$$\mathbf{40206} := -(4+0!)!+F((2+0!)!)!+6 = 6+F((0!+2)!)!-(0!+4)!$$
$$\mathbf{40207} := -(4+0!)!+F((2+0!)!)!+7 = 7+F((0!+2)!)!-(0!+4)!$$
$$\mathbf{40208} := -(4+0!)!+F((2+0!)!)!+8 = 8+F((0!+2)!)!-(0!+4)!$$
$$\mathbf{40209} := -(4+0!)!+F((2+0!)!)!+9 = 9+F((0!+2)!)!-(0!+4)!$$

$$\mathbf{40240} := -40\times 2+F(F(4)!)!+0 = 0+F(F(4)!)!-20\times 4$$
$$\mathbf{40241} := -40\times 2+F(F(4)!)!+1 = 1+F(F(4)!)!-20\times 4$$
$$\mathbf{40242} := -40\times 2+F(F(4)!)!+2 = 2+F(F(4)!)!-20\times 4$$
$$\mathbf{40243} := -40\times 2+F(F(4)!)!+3 = 3+F(F(4)!)!-20\times 4$$
$$\mathbf{40244} := -40\times 2+F(F(4)!)!+4 = 4+F(F(4)!)!-20\times 4$$
$$\mathbf{40245} := -40\times 2+F(F(4)!)!+5 = 5+F(F(4)!)!-20\times 4$$
$$\mathbf{40246} := -40\times 2+F(F(4)!)!+6 = 6+F(F(4)!)!-20\times 4$$
$$\mathbf{40247} := -40\times 2+F(F(4)!)!+7 = 7+F(F(4)!)!-20\times 4$$
$$\mathbf{40248} := -40\times 2+F(F(4)!)!+8 = 8+F(F(4)!)!-20\times 4$$
$$\mathbf{40249} := -40\times 2+F(F(4)!)!+9 = 9+F(F(4)!)!-20\times 4$$

$$\mathbf{40280} := -40\times F(2)+8!+0 = 0+8!-20\times F(F(4))$$
$$\mathbf{40281} := -40\times F(2)+8!+1 = 1+8!-20\times F(F(4))$$
$$\mathbf{40282} := -40\times F(2)+8!+2 = 2+8!-20\times F(F(4))$$
$$\mathbf{40283} := -40\times F(2)+8!+3 = 3+8!-20\times F(F(4))$$
$$\mathbf{40284} := -40\times F(2)+8!+4 = 4+8!-20\times F(F(4))$$
$$\mathbf{40285} := -40\times F(2)+8!+5 = 5+8!-20\times F(F(4))$$
$$\mathbf{40286} := -40\times F(2)+8!+6 = 6+8!-20\times F(F(4))$$

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$$\mathbf{40287} := -40 \times F(2) + 8! + 7 = 7 + 8! - 20 \times F(F(4))$$
$$\mathbf{40288} := -40 \times F(2) + 8! + 8 = 8 + 8! - 20 \times F(F(4))$$
$$\mathbf{40289} := -40 \times F(2) + 8! + 9 = 9 + 8! - 20 \times F(F(4))$$

$$\mathbf{40330} := 4 + 03! + F(3!)! + 0 = 0 + F(3!)! + 3! + 04$$
$$\mathbf{40331} := 4 + 03! + F(3!)! + 1 = 1 + F(3!)! + 3! + 04$$
$$\mathbf{40332} := 4 + 03! + F(3!)! + 2 = 2 + F(3!)! + 3! + 04$$
$$\mathbf{40333} := 4 + 03! + F(3!)! + 3 = 3 + F(3!)! + 3! + 04$$
$$\mathbf{40334} := 4 + 03! + F(3!)! + 4 = 4 + F(3!)! + 3! + 04$$
$$\mathbf{40335} := 4 + 03! + F(3!)! + 5 = 5 + F(3!)! + 3! + 04$$
$$\mathbf{40336} := 4 + 03! + F(3!)! + 6 = 6 + F(3!)! + 3! + 04$$
$$\mathbf{40337} := 4 + 03! + F(3!)! + 7 = 7 + F(3!)! + 3! + 04$$
$$\mathbf{40338} := 4 + 03! + F(3!)! + 8 = 8 + F(3!)! + 3! + 04$$
$$\mathbf{40339} := 4 + 03! + F(3!)! + 9 = 9 + F(3!)! + 3! + 04$$

$$\mathbf{40360} := (4 + 0!) \times F(3!) + F(6)! + 0 = 0 + F(6)! + F(3!) \times (0! + 4)$$
$$\mathbf{40361} := (4 + 0!) \times F(3!) + F(6)! + 1 = 1 + F(6)! + F(3!) \times (0! + 4)$$
$$\mathbf{40362} := (4 + 0!) \times F(3!) + F(6)! + 2 = 2 + F(6)! + F(3!) \times (0! + 4)$$
$$\mathbf{40363} := (4 + 0!) \times F(3!) + F(6)! + 3 = 3 + F(6)! + F(3!) \times (0! + 4)$$
$$\mathbf{40364} := (4 + 0!) \times F(3!) + F(6)! + 4 = 4 + F(6)! + F(3!) \times (0! + 4)$$
$$\mathbf{40365} := (4 + 0!) \times F(3!) + F(6)! + 5 = 5 + F(6)! + F(3!) \times (0! + 4)$$
$$\mathbf{40366} := (4 + 0!) \times F(3!) + F(6)! + 6 = 6 + F(6)! + F(3!) \times (0! + 4)$$
$$\mathbf{40367} := (4 + 0!) \times F(3!) + F(6)! + 7 = 7 + F(6)! + F(3!) \times (0! + 4)$$
$$\mathbf{40368} := (4 + 0!) \times F(3!) + F(6)! + 8 = 8 + F(6)! + F(3!) \times (0! + 4)$$
$$\mathbf{40369} := (4 + 0!) \times F(3!) + F(6)! + 9 = 9 + F(6)! + F(3!) \times (0! + 4)$$

$$\mathbf{40490} := F(F(4)!)! + (0! + 4) \times F(9) + 0 = 0 + F(9) \times (4 + 0!) + F(F(4)!)!$$
$$\mathbf{40491} := F(F(4)!)! + (0! + 4) \times F(9) + 1 = 1 + F(9) \times (4 + 0!) + F(F(4)!)!$$
$$\mathbf{40492} := F(F(4)!)! + (0! + 4) \times F(9) + 2 = 2 + F(9) \times (4 + 0!) + F(F(4)!)!$$
$$\mathbf{40493} := F(F(4)!)! + (0! + 4) \times F(9) + 3 = 3 + F(9) \times (4 + 0!) + F(F(4)!)!$$
$$\mathbf{40494} := F(F(4)!)! + (0! + 4) \times F(9) + 4 = 4 + F(9) \times (4 + 0!) + F(F(4)!)!$$
$$\mathbf{40495} := F(F(4)!)! + (0! + 4) \times F(9) + 5 = 5 + F(9) \times (4 + 0!) + F(F(4)!)!$$
$$\mathbf{40496} := F(F(4)!)! + (0! + 4) \times F(9) + 6 = 6 + F(9) \times (4 + 0!) + F(F(4)!)!$$
$$\mathbf{40497} := F(F(4)!)! + (0! + 4) \times F(9) + 7 = 7 + F(9) \times (4 + 0!) + F(F(4)!)!$$
$$\mathbf{40498} := F(F(4)!)! + (0! + 4) \times F(9) + 8 = 8 + F(9) \times (4 + 0!) + F(F(4)!)!$$
$$\mathbf{40499} := F(F(4)!)! + (0! + 4) \times F(9) + 9 = 9 + F(9) \times (4 + 0!) + F(F(4)!)!$$

$$\mathbf{40560} := -(-F(4) + 0!) \times 5! + F(6)! + 0 = 0 + F(6)! - 5! \times (0! - F(4))$$
$$\mathbf{40561} := -(-F(4) + 0!) \times 5! + F(6)! + 1 = 1 + F(6)! - 5! \times (0! - F(4))$$
$$\mathbf{40562} := -(-F(4) + 0!) \times 5! + F(6)! + 2 = 2 + F(6)! - 5! \times (0! - F(4))$$

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$$\mathbf{40563} := -(-F(4)+0!)\times 5! + F(6)! + 3 = 3 + F(6)! - 5! \times (0! - F(4))$$
$$\mathbf{40564} := -(-F(4)+0!)\times 5! + F(6)! + 4 = 4 + F(6)! - 5! \times (0! - F(4))$$
$$\mathbf{40565} := -(-F(4)+0!)\times 5! + F(6)! + 5 = 5 + F(6)! - 5! \times (0! - F(4))$$
$$\mathbf{40566} := -(-F(4)+0!)\times 5! + F(6)! + 6 = 6 + F(6)! - 5! \times (0! - F(4))$$
$$\mathbf{40567} := -(-F(4)+0!)\times 5! + F(6)! + 7 = 7 + F(6)! - 5! \times (0! - F(4))$$
$$\mathbf{40568} := -(-F(4)+0!)\times 5! + F(6)! + 8 = 8 + F(6)! - 5! \times (0! - F(4))$$
$$\mathbf{40569} := -(-F(4)+0!)\times 5! + F(6)! + 9 = 9 + F(6)! - 5! \times (0! - F(4))$$

$$\mathbf{40680} := F(4) \times (-0! + 6)! + 8! + 0 = 0 + 8! + 6!/(-0! + F(4))$$
$$\mathbf{40681} := F(4) \times (-0! + 6)! + 8! + 1 = 1 + 8! + 6!/(-0! + F(4))$$
$$\mathbf{40682} := F(4) \times (-0! + 6)! + 8! + 2 = 2 + 8! + 6!/(-0! + F(4))$$
$$\mathbf{40683} := F(4) \times (-0! + 6)! + 8! + 3 = 3 + 8! + 6!/(-0! + F(4))$$
$$\mathbf{40684} := F(4) \times (-0! + 6)! + 8! + 4 = 4 + 8! + 6!/(-0! + F(4))$$
$$\mathbf{40685} := F(4) \times (-0! + 6)! + 8! + 5 = 5 + 8! + 6!/(-0! + F(4))$$
$$\mathbf{40686} := F(4) \times (-0! + 6)! + 8! + 6 = 6 + 8! + 6!/(-0! + F(4))$$
$$\mathbf{40687} := F(4) \times (-0! + 6)! + 8! + 7 = 7 + 8! + 6!/(-0! + F(4))$$
$$\mathbf{40688} := F(4) \times (-0! + 6)! + 8! + 8 = 8 + 8! + 6!/(-0! + F(4))$$
$$\mathbf{40689} := F(4) \times (-0! + 6)! + 8! + 9 = 9 + 8! + 6!/(-0! + F(4))$$

$$\mathbf{40930} := F(4! - 09) + F(3!)! + 0 = 0 + F(3!)! + F(-9 + 04!)$$
$$\mathbf{40931} := F(4! - 09) + F(3!)! + 1 = 1 + F(3!)! + F(-9 + 04!)$$
$$\mathbf{40932} := F(4! - 09) + F(3!)! + 2 = 2 + F(3!)! + F(-9 + 04!)$$
$$\mathbf{40933} := F(4! - 09) + F(3!)! + 3 = 3 + F(3!)! + F(-9 + 04!)$$
$$\mathbf{40934} := F(4! - 09) + F(3!)! + 4 = 4 + F(3!)! + F(-9 + 04!)$$
$$\mathbf{40935} := F(4! - 09) + F(3!)! + 5 = 5 + F(3!)! + F(-9 + 04!)$$
$$\mathbf{40936} := F(4! - 09) + F(3!)! + 6 = 6 + F(3!)! + F(-9 + 04!)$$
$$\mathbf{40937} := F(4! - 09) + F(3!)! + 7 = 7 + F(3!)! + F(-9 + 04!)$$
$$\mathbf{40938} := F(4! - 09) + F(3!)! + 8 = 8 + F(3!)! + F(-9 + 04!)$$
$$\mathbf{40939} := F(4! - 09) + F(3!)! + 9 = 9 + F(3!)! + F(-9 + 04!)$$

$$\mathbf{41760} := F(F(4)) \times (-1 + 7)! + F(6)! + 0 = 0 + F(6)! + (7 - 1)! \times F(F(4))$$
$$\mathbf{41761} := F(F(4)) \times (-1 + 7)! + F(6)! + 1 = 1 + F(6)! + (7 - 1)! \times F(F(4))$$
$$\mathbf{41762} := F(F(4)) \times (-1 + 7)! + F(6)! + 2 = 2 + F(6)! + (7 - 1)! \times F(F(4))$$
$$\mathbf{41763} := F(F(4)) \times (-1 + 7)! + F(6)! + 3 = 3 + F(6)! + (7 - 1)! \times F(F(4))$$
$$\mathbf{41764} := F(F(4)) \times (-1 + 7)! + F(6)! + 4 = 4 + F(6)! + (7 - 1)! \times F(F(4))$$
$$\mathbf{41765} := F(F(4)) \times (-1 + 7)! + F(6)! + 5 = 5 + F(6)! + (7 - 1)! \times F(F(4))$$
$$\mathbf{41766} := F(F(4)) \times (-1 + 7)! + F(6)! + 6 = 6 + F(6)! + (7 - 1)! \times F(F(4))$$
$$\mathbf{41767} := F(F(4)) \times (-1 + 7)! + F(6)! + 7 = 7 + F(6)! + (7 - 1)! \times F(F(4))$$
$$\mathbf{41768} := F(F(4)) \times (-1 + 7)! + F(6)! + 8 = 8 + F(6)! + (7 - 1)! \times F(F(4))$$
$$\mathbf{41769} := F(F(4)) \times (-1 + 7)! + F(6)! + 9 = 9 + F(6)! + (7 - 1)! \times F(F(4))$$

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$$\mathbf{42480} := (4+2)! \times F(4) + 8! + 0 = 0 + 8! + F(4) \times (2+4)!$$
$$\mathbf{42481} := (4+2)! \times F(4) + 8! + 1 = 1 + 8! + F(4) \times (2+4)!$$
$$\mathbf{42482} := (4+2)! \times F(4) + 8! + 2 = 2 + 8! + F(4) \times (2+4)!$$
$$\mathbf{42483} := (4+2)! \times F(4) + 8! + 3 = 3 + 8! + F(4) \times (2+4)!$$
$$\mathbf{42484} := (4+2)! \times F(4) + 8! + 4 = 4 + 8! + F(4) \times (2+4)!$$
$$\mathbf{42485} := (4+2)! \times F(4) + 8! + 5 = 5 + 8! + F(4) \times (2+4)!$$
$$\mathbf{42486} := (4+2)! \times F(4) + 8! + 6 = 6 + 8! + F(4) \times (2+4)!$$
$$\mathbf{42487} := (4+2)! \times F(4) + 8! + 7 = 7 + 8! + F(4) \times (2+4)!$$
$$\mathbf{42488} := (4+2)! \times F(4) + 8! + 8 = 8 + 8! + F(4) \times (2+4)!$$
$$\mathbf{42489} := (4+2)! \times F(4) + 8! + 9 = 9 + 8! + F(4) \times (2+4)!$$

$$\mathbf{42760} := 4 \times F(2 + F(7)) + F(6)! + 0 = 0 + F(6)! + F(F(7) + 2) \times 4$$
$$\mathbf{42761} := 4 \times F(2 + F(7)) + F(6)! + 1 = 1 + F(6)! + F(F(7) + 2) \times 4$$
$$\mathbf{42762} := 4 \times F(2 + F(7)) + F(6)! + 2 = 2 + F(6)! + F(F(7) + 2) \times 4$$
$$\mathbf{42763} := 4 \times F(2 + F(7)) + F(6)! + 3 = 3 + F(6)! + F(F(7) + 2) \times 4$$
$$\mathbf{42764} := 4 \times F(2 + F(7)) + F(6)! + 4 = 4 + F(6)! + F(F(7) + 2) \times 4$$
$$\mathbf{42765} := 4 \times F(2 + F(7)) + F(6)! + 5 = 5 + F(6)! + F(F(7) + 2) \times 4$$
$$\mathbf{42766} := 4 \times F(2 + F(7)) + F(6)! + 6 = 6 + F(6)! + F(F(7) + 2) \times 4$$
$$\mathbf{42767} := 4 \times F(2 + F(7)) + F(6)! + 7 = 7 + F(6)! + F(F(7) + 2) \times 4$$
$$\mathbf{42768} := 4 \times F(2 + F(7)) + F(6)! + 8 = 8 + F(6)! + F(F(7) + 2) \times 4$$
$$\mathbf{42769} := 4 \times F(2 + F(7)) + F(6)! + 9 = 9 + F(6)! + F(F(7) + 2) \times 4$$

$$\mathbf{43060} := 4 \times (F(F(F(3!))) - 0!) - 6! + 0 = 0 - 6! - (0! - F(F(F(3!)))) \times 4$$
$$\mathbf{43061} := 4 \times (F(F(F(3!))) - 0!) - 6! + 1 = 1 - 6! - (0! - F(F(F(3!)))) \times 4$$
$$\mathbf{43062} := 4 \times (F(F(F(3!))) - 0!) - 6! + 2 = 2 - 6! - (0! - F(F(F(3!)))) \times 4$$
$$\mathbf{43063} := 4 \times (F(F(F(3!))) - 0!) - 6! + 3 = 3 - 6! - (0! - F(F(F(3!)))) \times 4$$
$$\mathbf{43064} := 4 \times (F(F(F(3!))) - 0!) - 6! + 4 = 4 - 6! - (0! - F(F(F(3!)))) \times 4$$
$$\mathbf{43065} := 4 \times (F(F(F(3!))) - 0!) - 6! + 5 = 5 - 6! - (0! - F(F(F(3!)))) \times 4$$
$$\mathbf{43066} := 4 \times (F(F(F(3!))) - 0!) - 6! + 6 = 6 - 6! - (0! - F(F(F(3!)))) \times 4$$
$$\mathbf{43067} := 4 \times (F(F(F(3!))) - 0!) - 6! + 7 = 7 - 6! - (0! - F(F(F(3!)))) \times 4$$
$$\mathbf{43068} := 4 \times (F(F(F(3!))) - 0!) - 6! + 8 = 8 - 6! - (0! - F(F(F(3!)))) \times 4$$
$$\mathbf{43069} := 4 \times (F(F(F(3!))) - 0!) - 6! + 9 = 9 - 6! - (0! - F(F(F(3!)))) \times 4$$

$$\mathbf{43200} := 4 \times 3!! + F((2 + 0!)!)! + 0 = 0 + F((0! + 2)!)! + 3!! \times 4$$
$$\mathbf{43201} := 4 \times 3!! + F((2 + 0!)!)! + 1 = 1 + F((0! + 2)!)! + 3!! \times 4$$
$$\mathbf{43202} := 4 \times 3!! + F((2 + 0!)!)! + 2 = 2 + F((0! + 2)!)! + 3!! \times 4$$
$$\mathbf{43203} := 4 \times 3!! + F((2 + 0!)!)! + 3 = 3 + F((0! + 2)!)! + 3!! \times 4$$
$$\mathbf{43204} := 4 \times 3!! + F((2 + 0!)!)! + 4 = 4 + F((0! + 2)!)! + 3!! \times 4$$
$$\mathbf{43205} := 4 \times 3!! + F((2 + 0!)!)! + 5 = 5 + F((0! + 2)!)! + 3!! \times 4$$

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$$\mathbf{43206} := 4 \times 3!! + F((2+0!)!)! + 6 = 6 + F((0!+2)!)! + 3!! \times 4$$
$$\mathbf{43207} := 4 \times 3!! + F((2+0!)!)! + 7 = 7 + F((0!+2)!)! + 3!! \times 4$$
$$\mathbf{43208} := 4 \times 3!! + F((2+0!)!)! + 8 = 8 + F((0!+2)!)! + 3!! \times 4$$
$$\mathbf{43209} := 4 \times 3!! + F((2+0!)!)! + 9 = 9 + F((0!+2)!)! + 3!! \times 4$$

$$\mathbf{43480} := F(4!) - 3!! \times 4 - 8 + 0 = 0 - 8 - 4 \times 3!! + F(4!)$$
$$\mathbf{43481} := F(4!) - 3!! \times 4 - 8 + 1 = 1 - 8 - 4 \times 3!! + F(4!)$$
$$\mathbf{43482} := F(4!) - 3!! \times 4 - 8 + 2 = 2 - 8 - 4 \times 3!! + F(4!)$$
$$\mathbf{43483} := F(4!) - 3!! \times 4 - 8 + 3 = 3 - 8 - 4 \times 3!! + F(4!)$$
$$\mathbf{43484} := F(4!) - 3!! \times 4 - 8 + 4 = 4 - 8 - 4 \times 3!! + F(4!)$$
$$\mathbf{43485} := F(4!) - 3!! \times 4 - 8 + 5 = 5 - 8 - 4 \times 3!! + F(4!)$$
$$\mathbf{43486} := F(4!) - 3!! \times 4 - 8 + 6 = 6 - 8 - 4 \times 3!! + F(4!)$$
$$\mathbf{43487} := F(4!) - 3!! \times 4 - 8 + 7 = 7 - 8 - 4 \times 3!! + F(4!)$$
$$\mathbf{43488} := F(4!) - 3!! \times 4 - 8 + 8 = 8 - 8 - 4 \times 3!! + F(4!)$$
$$\mathbf{43489} := F(4!) - 3!! \times 4 - 8 + 9 = 9 - 8 - 4 \times 3!! + F(4!)$$

$$\mathbf{43560} := (4!+3) \times 5! + F(6)! + 0 = 0 + F(6)! + 5! \times (3+4!)$$
$$\mathbf{43561} := (4!+3) \times 5! + F(6)! + 1 = 1 + F(6)! + 5! \times (3+4!)$$
$$\mathbf{43562} := (4!+3) \times 5! + F(6)! + 2 = 2 + F(6)! + 5! \times (3+4!)$$
$$\mathbf{43563} := (4!+3) \times 5! + F(6)! + 3 = 3 + F(6)! + 5! \times (3+4!)$$
$$\mathbf{43564} := (4!+3) \times 5! + F(6)! + 4 = 4 + F(6)! + 5! \times (3+4!)$$
$$\mathbf{43565} := (4!+3) \times 5! + F(6)! + 5 = 5 + F(6)! + 5! \times (3+4!)$$
$$\mathbf{43566} := (4!+3) \times 5! + F(6)! + 6 = 6 + F(6)! + 5! \times (3+4!)$$
$$\mathbf{43567} := (4!+3) \times 5! + F(6)! + 7 = 7 + F(6)! + 5! \times (3+4!)$$
$$\mathbf{43568} := (4!+3) \times 5! + F(6)! + 8 = 8 + F(6)! + 5! \times (3+4!)$$
$$\mathbf{43569} := (4!+3) \times 5! + F(6)! + 9 = 9 + F(6)! + 5! \times (3+4!)$$

$$\mathbf{43700} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 0 = 0 + (F(F(0!+7)) - F(F(3!))) \times 4$$
$$\mathbf{43701} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 1 = 1 + (F(F(0!+7)) - F(F(3!))) \times 4$$
$$\mathbf{43702} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 2 = 2 + (F(F(0!+7)) - F(F(3!))) \times 4$$
$$\mathbf{43703} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 3 = 3 + (F(F(0!+7)) - F(F(3!))) \times 4$$
$$\mathbf{43704} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 4 = 4 + (F(F(0!+7)) - F(F(3!))) \times 4$$
$$\mathbf{43705} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 5 = 5 + (F(F(0!+7)) - F(F(3!))) \times 4$$
$$\mathbf{43706} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 6 = 6 + (F(F(0!+7)) - F(F(3!))) \times 4$$
$$\mathbf{43707} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 7 = 7 + (F(F(0!+7)) - F(F(3!))) \times 4$$
$$\mathbf{43708} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 8 = 8 + (F(F(0!+7)) - F(F(3!))) \times 4$$
$$\mathbf{43709} := 4 \times (-F(F(3!)) + F(F(7+0!))) + 9 = 9 + (F(F(0!+7)) - F(F(3!))) \times 4$$

$$\mathbf{43800} := 4 \times (3 + F(F(8)) + 0!) + 0 = 0 + (0! + F(F(8)) + 3) \times 4$$
$$\mathbf{43801} := 4 \times (3 + F(F(8)) + 0!) + 1 = 1 + (0! + F(F(8)) + 3) \times 4$$

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$$\mathbf{43802} := 4 \times (3 + F(F(8)) + 0!) + 2 = 2 + (0! + F(F(8)) + 3) \times 4$$
$$\mathbf{43803} := 4 \times (3 + F(F(8)) + 0!) + 3 = 3 + (0! + F(F(8)) + 3) \times 4$$
$$\mathbf{43804} := 4 \times (3 + F(F(8)) + 0!) + 4 = 4 + (0! + F(F(8)) + 3) \times 4$$
$$\mathbf{43805} := 4 \times (3 + F(F(8)) + 0!) + 5 = 5 + (0! + F(F(8)) + 3) \times 4$$
$$\mathbf{43806} := 4 \times (3 + F(F(8)) + 0!) + 6 = 6 + (0! + F(F(8)) + 3) \times 4$$
$$\mathbf{43807} := 4 \times (3 + F(F(8)) + 0!) + 7 = 7 + (0! + F(F(8)) + 3) \times 4$$
$$\mathbf{43808} := 4 \times (3 + F(F(8)) + 0!) + 8 = 8 + (0! + F(F(8)) + 3) \times 4$$
$$\mathbf{43809} := 4 \times (3 + F(F(8)) + 0!) + 9 = 9 + (0! + F(F(8)) + 3) \times 4$$

$$\mathbf{43820} := 4 \times (F(3!) + F(F(8)) + F(2)) + 0 = 0 + (F(2) + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43821} := 4 \times (F(3!) + F(F(8)) + F(2)) + 1 = 1 + (F(2) + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43822} := 4 \times (F(3!) + F(F(8)) + F(2)) + 2 = 2 + (F(2) + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43823} := 4 \times (F(3!) + F(F(8)) + F(2)) + 3 = 3 + (F(2) + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43824} := 4 \times (F(3!) + F(F(8)) + F(2)) + 4 = 4 + (F(2) + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43825} := 4 \times (F(3!) + F(F(8)) + F(2)) + 5 = 5 + (F(2) + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43826} := 4 \times (F(3!) + F(F(8)) + F(2)) + 6 = 6 + (F(2) + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43827} := 4 \times (F(3!) + F(F(8)) + F(2)) + 7 = 7 + (F(2) + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43828} := 4 \times (F(3!) + F(F(8)) + F(2)) + 8 = 8 + (F(2) + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43829} := 4 \times (F(3!) + F(F(8)) + F(2)) + 9 = 9 + (F(2) + F(F(8)) + F(3!)) \times 4$$

$$\mathbf{43840} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 0 = 0 + (F(4)! + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43841} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 1 = 1 + (F(4)! + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43842} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 2 = 2 + (F(4)! + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43843} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 3 = 3 + (F(4)! + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43844} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 4 = 4 + (F(4)! + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43845} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 5 = 5 + (F(4)! + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43846} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 6 = 6 + (F(4)! + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43847} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 7 = 7 + (F(4)! + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43848} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 8 = 8 + (F(4)! + F(F(8)) + F(3!)) \times 4$$
$$\mathbf{43849} := 4 \times (F(3!) + F(F(8)) + F(4)!) + 9 = 9 + (F(4)! + F(F(8)) + F(3!)) \times 4$$

$$\mathbf{43920} := F(4)!! \times (3! + F(9 + F(2))) + 0 = 0 + (F(F(2) + 9) + 3!) \times F(4)!!$$
$$\mathbf{43921} := F(4)!! \times (3! + F(9 + F(2))) + 1 = 1 + (F(F(2) + 9) + 3!) \times F(4)!!$$
$$\mathbf{43922} := F(4)!! \times (3! + F(9 + F(2))) + 2 = 2 + (F(F(2) + 9) + 3!) \times F(4)!!$$
$$\mathbf{43923} := F(4)!! \times (3! + F(9 + F(2))) + 3 = 3 + (F(F(2) + 9) + 3!) \times F(4)!!$$
$$\mathbf{43924} := F(4)!! \times (3! + F(9 + F(2))) + 4 = 4 + (F(F(2) + 9) + 3!) \times F(4)!!$$
$$\mathbf{43925} := F(4)!! \times (3! + F(9 + F(2))) + 5 = 5 + (F(F(2) + 9) + 3!) \times F(4)!!$$
$$\mathbf{43926} := F(4)!! \times (3! + F(9 + F(2))) + 6 = 6 + (F(F(2) + 9) + 3!) \times F(4)!!$$
$$\mathbf{43927} := F(4)!! \times (3! + F(9 + F(2))) + 7 = 7 + (F(F(2) + 9) + 3!) \times F(4)!!$$
$$\mathbf{43928} := F(4)!! \times (3! + F(9 + F(2))) + 8 = 8 + (F(F(2) + 9) + 3!) \times F(4)!!$$

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$$\mathbf{43929} := F(4)!! \times (3! + F(9 + F(2))) + 9 = 9 + (F(F(2) + 9) + 3!) \times F(4)!!$$

$$\mathbf{43980} := F(4)! \times F(9 + 3!) + 8! + 0 = 0 + 8! + F(9 + 3!) \times F(4)!$$
$$\mathbf{43981} := F(4)! \times F(9 + 3!) + 8! + 1 = 1 + 8! + F(9 + 3!) \times F(4)!$$
$$\mathbf{43982} := F(4)! \times F(9 + 3!) + 8! + 2 = 2 + 8! + F(9 + 3!) \times F(4)!$$
$$\mathbf{43983} := F(4)! \times F(9 + 3!) + 8! + 3 = 3 + 8! + F(9 + 3!) \times F(4)!$$
$$\mathbf{43984} := F(4)! \times F(9 + 3!) + 8! + 4 = 4 + 8! + F(9 + 3!) \times F(4)!$$
$$\mathbf{43985} := F(4)! \times F(9 + 3!) + 8! + 5 = 5 + 8! + F(9 + 3!) \times F(4)!$$
$$\mathbf{43986} := F(4)! \times F(9 + 3!) + 8! + 6 = 6 + 8! + F(9 + 3!) \times F(4)!$$
$$\mathbf{43987} := F(4)! \times F(9 + 3!) + 8! + 7 = 7 + 8! + F(9 + 3!) \times F(4)!$$
$$\mathbf{43988} := F(4)! \times F(9 + 3!) + 8! + 8 = 8 + 8! + F(9 + 3!) \times F(4)!$$
$$\mathbf{43989} := F(4)! \times F(9 + 3!) + 8! + 9 = 9 + 8! + F(9 + 3!) \times F(4)!$$

$$\mathbf{44480} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 0 = 0 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$
$$\mathbf{44481} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 1 = 1 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$
$$\mathbf{44482} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 2 = 2 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$
$$\mathbf{44483} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 3 = 3 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$
$$\mathbf{44484} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 4 = 4 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$
$$\mathbf{44485} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 5 = 5 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$
$$\mathbf{44486} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 6 = 6 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$
$$\mathbf{44487} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 7 = 7 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$
$$\mathbf{44488} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 8 = 8 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$
$$\mathbf{44489} := F(4)!! + 4 \times (-F(4)! + F(F(8))) + 9 = 9 + (F(F(8)) - F(4)!) \times 4 + F(4)!!$$

$$\mathbf{44720} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 0 = 0 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$
$$\mathbf{44721} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 1 = 1 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$
$$\mathbf{44722} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 2 = 2 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$
$$\mathbf{44723} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 3 = 3 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$
$$\mathbf{44724} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 4 = 4 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$
$$\mathbf{44725} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 5 = 5 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$
$$\mathbf{44726} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 6 = 6 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$
$$\mathbf{44727} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 7 = 7 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$
$$\mathbf{44728} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 8 = 8 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$
$$\mathbf{44729} := F(F(4)!) \times (4! \times F(F(7)) - 2) + 9 = 9 + (-2 + F(F(7)) \times 4!) \times F(F(4)!)$$

$$\mathbf{44860} := F(4!) - 4 \times F(8 + 6) + 0 = 0 - F(6 + 8) \times 4 + F(4!)$$
$$\mathbf{44861} := F(4!) - 4 \times F(8 + 6) + 1 = 1 - F(6 + 8) \times 4 + F(4!)$$
$$\mathbf{44862} := F(4!) - 4 \times F(8 + 6) + 2 = 2 - F(6 + 8) \times 4 + F(4!)$$
$$\mathbf{44863} := F(4!) - 4 \times F(8 + 6) + 3 = 3 - F(6 + 8) \times 4 + F(4!)$$
$$\mathbf{44864} := F(4!) - 4 \times F(8 + 6) + 4 = 4 - F(6 + 8) \times 4 + F(4!)$$
$$\mathbf{44865} := F(4!) - 4 \times F(8 + 6) + 5 = 5 - F(6 + 8) \times 4 + F(4!)$$

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$$\mathbf{44866} := F(4!) - 4 \times F(8+6) + 6 = 6 - F(6+8) \times 4 + F(4!)$$
$$\mathbf{44867} := F(4!) - 4 \times F(8+6) + 7 = 7 - F(6+8) \times 4 + F(4!)$$
$$\mathbf{44868} := F(4!) - 4 \times F(8+6) + 8 = 8 - F(6+8) \times 4 + F(4!)$$
$$\mathbf{44869} := F(4!) - 4 \times F(8+6) + 9 = 9 - F(6+8) \times 4 + F(4!)$$

$$\mathbf{44940} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 0 = 0 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$
$$\mathbf{44941} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 1 = 1 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$
$$\mathbf{44942} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 2 = 2 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$
$$\mathbf{44943} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 3 = 3 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$
$$\mathbf{44944} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 4 = 4 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$
$$\mathbf{44945} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 5 = 5 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$
$$\mathbf{44946} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 6 = 6 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$
$$\mathbf{44947} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 7 = 7 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$
$$\mathbf{44948} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 8 = 8 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$
$$\mathbf{44949} := F(4!) - F(F(F(4)!)) \times F(9) \times F(F(4)) + 9 = 9 - F(F(F(4)!)) \times F(9) \times F(F(4)) + F(4!)$$

$$\mathbf{44970} := F(4!) + (F(4) - 9) \times F(F(7)) + 0 = 0 + F(F(7)) \times (-9 + F(4)) + F(4!)$$
$$\mathbf{44971} := F(4!) + (F(4) - 9) \times F(F(7)) + 1 = 1 + F(F(7)) \times (-9 + F(4)) + F(4!)$$
$$\mathbf{44972} := F(4!) + (F(4) - 9) \times F(F(7)) + 2 = 2 + F(F(7)) \times (-9 + F(4)) + F(4!)$$
$$\mathbf{44973} := F(4!) + (F(4) - 9) \times F(F(7)) + 3 = 3 + F(F(7)) \times (-9 + F(4)) + F(4!)$$
$$\mathbf{44974} := F(4!) + (F(4) - 9) \times F(F(7)) + 4 = 4 + F(F(7)) \times (-9 + F(4)) + F(4!)$$
$$\mathbf{44975} := F(4!) + (F(4) - 9) \times F(F(7)) + 5 = 5 + F(F(7)) \times (-9 + F(4)) + F(4!)$$
$$\mathbf{44976} := F(4!) + (F(4) - 9) \times F(F(7)) + 6 = 6 + F(F(7)) \times (-9 + F(4)) + F(4!)$$
$$\mathbf{44977} := F(4!) + (F(4) - 9) \times F(F(7)) + 7 = 7 + F(F(7)) \times (-9 + F(4)) + F(4!)$$
$$\mathbf{44978} := F(4!) + (F(4) - 9) \times F(F(7)) + 8 = 8 + F(F(7)) \times (-9 + F(4)) + F(4!)$$
$$\mathbf{44979} := F(4!) + (F(4) - 9) \times F(F(7)) + 9 = 9 + F(F(7)) \times (-9 + F(4)) + F(4!)$$

$$\mathbf{45360} := F(4) \times F(5+3) \times 6! + 0 = 0 + 6! \times F(3+5) \times F(4)$$
$$\mathbf{45361} := F(4) \times F(5+3) \times 6! + 1 = 1 + 6! \times F(3+5) \times F(4)$$
$$\mathbf{45362} := F(4) \times F(5+3) \times 6! + 2 = 2 + 6! \times F(3+5) \times F(4)$$
$$\mathbf{45363} := F(4) \times F(5+3) \times 6! + 3 = 3 + 6! \times F(3+5) \times F(4)$$
$$\mathbf{45364} := F(4) \times F(5+3) \times 6! + 4 = 4 + 6! \times F(3+5) \times F(4)$$
$$\mathbf{45365} := F(4) \times F(5+3) \times 6! + 5 = 5 + 6! \times F(3+5) \times F(4)$$
$$\mathbf{45366} := F(4) \times F(5+3) \times 6! + 6 = 6 + 6! \times F(3+5) \times F(4)$$
$$\mathbf{45367} := F(4) \times F(5+3) \times 6! + 7 = 7 + 6! \times F(3+5) \times F(4)$$
$$\mathbf{45368} := F(4) \times F(5+3) \times 6! + 8 = 8 + 6! \times F(3+5) \times F(4)$$
$$\mathbf{45369} := F(4) \times F(5+3) \times 6! + 9 = 9 + 6! \times F(3+5) \times F(4)$$

$$\mathbf{45440} := F(4!) + (-5! + 4) \times F(F(4)!) + 0 = 0 + F(F(4)!) \times (4 - 5!) + F(4!)$$
$$\mathbf{45441} := F(4!) + (-5! + 4) \times F(F(4)!) + 1 = 1 + F(F(4)!) \times (4 - 5!) + F(4!)$$

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$$\mathbf{45442} := F(4!) + (-5! + 4) \times F(F(4)!) + 2 = 2 + F(F(4)!) \times (4 - 5!) + F(4!)$$
$$\mathbf{45443} := F(4!) + (-5! + 4) \times F(F(4)!) + 3 = 3 + F(F(4)!) \times (4 - 5!) + F(4!)$$
$$\mathbf{45444} := F(4!) + (-5! + 4) \times F(F(4)!) + 4 = 4 + F(F(4)!) \times (4 - 5!) + F(4!)$$
$$\mathbf{45445} := F(4!) + (-5! + 4) \times F(F(4)!) + 5 = 5 + F(F(4)!) \times (4 - 5!) + F(4!)$$
$$\mathbf{45446} := F(4!) + (-5! + 4) \times F(F(4)!) + 6 = 6 + F(F(4)!) \times (4 - 5!) + F(4!)$$
$$\mathbf{45447} := F(4!) + (-5! + 4) \times F(F(4)!) + 7 = 7 + F(F(4)!) \times (4 - 5!) + F(4!)$$
$$\mathbf{45448} := F(4!) + (-5! + 4) \times F(F(4)!) + 8 = 8 + F(F(4)!) \times (4 - 5!) + F(4!)$$
$$\mathbf{45449} := F(4!) + (-5! + 4) \times F(F(4)!) + 9 = 9 + F(F(4)!) \times (4 - 5!) + F(4!)$$

$$\mathbf{45640} := -F(4) - 5 - 6! + F(4!) + 0 = 0 + F(4!) - 6! - 5 - F(4)$$
$$\mathbf{45641} := -F(4) - 5 - 6! + F(4!) + 1 = 1 + F(4!) - 6! - 5 - F(4)$$
$$\mathbf{45642} := -F(4) - 5 - 6! + F(4!) + 2 = 2 + F(4!) - 6! - 5 - F(4)$$
$$\mathbf{45643} := -F(4) - 5 - 6! + F(4!) + 3 = 3 + F(4!) - 6! - 5 - F(4)$$
$$\mathbf{45644} := -F(4) - 5 - 6! + F(4!) + 4 = 4 + F(4!) - 6! - 5 - F(4)$$
$$\mathbf{45645} := -F(4) - 5 - 6! + F(4!) + 5 = 5 + F(4!) - 6! - 5 - F(4)$$
$$\mathbf{45646} := -F(4) - 5 - 6! + F(4!) + 6 = 6 + F(4!) - 6! - 5 - F(4)$$
$$\mathbf{45647} := -F(4) - 5 - 6! + F(4!) + 7 = 7 + F(4!) - 6! - 5 - F(4)$$
$$\mathbf{45648} := -F(4) - 5 - 6! + F(4!) + 8 = 8 + F(4!) - 6! - 5 - F(4)$$
$$\mathbf{45649} := -F(4) - 5 - 6! + F(4!) + 9 = 9 + F(4!) - 6! - 5 - F(4)$$

$$\mathbf{45970} := F(F(4) \times 5) + 9 \times 7! + 0 = 0 + 7! \times 9 + F(5 \times F(4))$$
$$\mathbf{45971} := F(F(4) \times 5) + 9 \times 7! + 1 = 1 + 7! \times 9 + F(5 \times F(4))$$
$$\mathbf{45972} := F(F(4) \times 5) + 9 \times 7! + 2 = 2 + 7! \times 9 + F(5 \times F(4))$$
$$\mathbf{45973} := F(F(4) \times 5) + 9 \times 7! + 3 = 3 + 7! \times 9 + F(5 \times F(4))$$
$$\mathbf{45974} := F(F(4) \times 5) + 9 \times 7! + 4 = 4 + 7! \times 9 + F(5 \times F(4))$$
$$\mathbf{45975} := F(F(4) \times 5) + 9 \times 7! + 5 = 5 + 7! \times 9 + F(5 \times F(4))$$
$$\mathbf{45976} := F(F(4) \times 5) + 9 \times 7! + 6 = 6 + 7! \times 9 + F(5 \times F(4))$$
$$\mathbf{45977} := F(F(4) \times 5) + 9 \times 7! + 7 = 7 + 7! \times 9 + F(5 \times F(4))$$
$$\mathbf{45978} := F(F(4) \times 5) + 9 \times 7! + 8 = 8 + 7! \times 9 + F(5 \times F(4))$$
$$\mathbf{45979} := F(F(4) \times 5) + 9 \times 7! + 9 = 9 + 7! \times 9 + F(5 \times F(4))$$

$$\mathbf{46200} := F(4!) - F(F(6)) \times F((2 + 0!)!) + 0 = 0 - F((0! + 2)!) \times F(F(6)) + F(4!)$$
$$\mathbf{46201} := F(4!) - F(F(6)) \times F((2 + 0!)!) + 1 = 1 - F((0! + 2)!) \times F(F(6)) + F(4!)$$
$$\mathbf{46202} := F(4!) - F(F(6)) \times F((2 + 0!)!) + 2 = 2 - F((0! + 2)!) \times F(F(6)) + F(4!)$$
$$\mathbf{46203} := F(4!) - F(F(6)) \times F((2 + 0!)!) + 3 = 3 - F((0! + 2)!) \times F(F(6)) + F(4!)$$
$$\mathbf{46204} := F(4!) - F(F(6)) \times F((2 + 0!)!) + 4 = 4 - F((0! + 2)!) \times F(F(6)) + F(4!)$$
$$\mathbf{46205} := F(4!) - F(F(6)) \times F((2 + 0!)!) + 5 = 5 - F((0! + 2)!) \times F(F(6)) + F(4!)$$
$$\mathbf{46206} := F(4!) - F(F(6)) \times F((2 + 0!)!) + 6 = 6 - F((0! + 2)!) \times F(F(6)) + F(4!)$$
$$\mathbf{46207} := F(4!) - F(F(6)) \times F((2 + 0!)!) + 7 = 7 - F((0! + 2)!) \times F(F(6)) + F(4!)$$
$$\mathbf{46208} := F(4!) - F(F(6)) \times F((2 + 0!)!) + 8 = 8 - F((0! + 2)!) \times F(F(6)) + F(4!)$$

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$$\mathbf{46209} := F(4!) - F(F(6)) \times F((2+0!)!) + 9 = 9 - F((0!+2)!) \times F(F(6)) + F(4!)$$

$$\mathbf{46250} := F(4\times 6) + 2 - 5! + 0 = 0 - 5! + 2 + F(6\times 4)$$
$$\mathbf{46251} := F(4\times 6) + 2 - 5! + 1 = 1 - 5! + 2 + F(6\times 4)$$
$$\mathbf{46252} := F(4\times 6) + 2 - 5! + 2 = 2 - 5! + 2 + F(6\times 4)$$
$$\mathbf{46253} := F(4\times 6) + 2 - 5! + 3 = 3 - 5! + 2 + F(6\times 4)$$
$$\mathbf{46254} := F(4\times 6) + 2 - 5! + 4 = 4 - 5! + 2 + F(6\times 4)$$
$$\mathbf{46255} := F(4\times 6) + 2 - 5! + 5 = 5 - 5! + 2 + F(6\times 4)$$
$$\mathbf{46256} := F(4\times 6) + 2 - 5! + 6 = 6 - 5! + 2 + F(6\times 4)$$
$$\mathbf{46257} := F(4\times 6) + 2 - 5! + 7 = 7 - 5! + 2 + F(6\times 4)$$
$$\mathbf{46258} := F(4\times 6) + 2 - 5! + 8 = 8 - 5! + 2 + F(6\times 4)$$
$$\mathbf{46259} := F(4\times 6) + 2 - 5! + 9 = 9 - 5! + 2 + F(6\times 4)$$

$$\mathbf{46290} := F(4!) - 6\times F(-2+9) + 0 = 0 - F(9-2)\times 6 + F(4!)$$
$$\mathbf{46291} := F(4!) - 6\times F(-2+9) + 1 = 1 - F(9-2)\times 6 + F(4!)$$
$$\mathbf{46292} := F(4!) - 6\times F(-2+9) + 2 = 2 - F(9-2)\times 6 + F(4!)$$
$$\mathbf{46293} := F(4!) - 6\times F(-2+9) + 3 = 3 - F(9-2)\times 6 + F(4!)$$
$$\mathbf{46294} := F(4!) - 6\times F(-2+9) + 4 = 4 - F(9-2)\times 6 + F(4!)$$
$$\mathbf{46295} := F(4!) - 6\times F(-2+9) + 5 = 5 - F(9-2)\times 6 + F(4!)$$
$$\mathbf{46296} := F(4!) - 6\times F(-2+9) + 6 = 6 - F(9-2)\times 6 + F(4!)$$
$$\mathbf{46297} := F(4!) - 6\times F(-2+9) + 7 = 7 - F(9-2)\times 6 + F(4!)$$
$$\mathbf{46298} := F(4!) - 6\times F(-2+9) + 8 = 8 - F(9-2)\times 6 + F(4!)$$
$$\mathbf{46299} := F(4!) - 6\times F(-2+9) + 9 = 9 - F(9-2)\times 6 + F(4!)$$

$$\mathbf{46400} := 4! + F(6) + F(4!) + 00 = 0 + F(04!) + F(6) + 4!$$
$$\mathbf{46401} := 4! + F(6) + F(4!) + 01 = 1 + F(04!) + F(6) + 4!$$
$$\mathbf{46402} := 4! + F(6) + F(4!) + 02 = 2 + F(04!) + F(6) + 4!$$
$$\mathbf{46403} := 4! + F(6) + F(4!) + 03 = 3 + F(04!) + F(6) + 4!$$
$$\mathbf{46404} := 4! + F(6) + F(4!) + 04 = 4 + F(04!) + F(6) + 4!$$
$$\mathbf{46405} := 4! + F(6) + F(4!) + 05 = 5 + F(04!) + F(6) + 4!$$
$$\mathbf{46406} := 4! + F(6) + F(4!) + 06 = 6 + F(04!) + F(6) + 4!$$
$$\mathbf{46407} := 4! + F(6) + F(4!) + 07 = 7 + F(04!) + F(6) + 4!$$
$$\mathbf{46408} := 4! + F(6) + F(4!) + 08 = 8 + F(04!) + F(6) + 4!$$
$$\mathbf{46409} := 4! + F(6) + F(4!) + 09 = 9 + F(04!) + F(6) + 4!$$

$$\mathbf{46440} := F(4\times 6) + F(4)\times 4! + 0 = 0 + 4!\times F(4) + F(6\times 4)$$
$$\mathbf{46441} := F(4\times 6) + F(4)\times 4! + 1 = 1 + 4!\times F(4) + F(6\times 4)$$
$$\mathbf{46442} := F(4\times 6) + F(4)\times 4! + 2 = 2 + 4!\times F(4) + F(6\times 4)$$
$$\mathbf{46443} := F(4\times 6) + F(4)\times 4! + 3 = 3 + 4!\times F(4) + F(6\times 4)$$
$$\mathbf{46444} := F(4\times 6) + F(4)\times 4! + 4 = 4 + 4!\times F(4) + F(6\times 4)$$

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$$\mathbf{46445} := F(4\times 6)+F(4)\times 4!+5 = 5+4!\times F(4)+F(6\times 4)$$
$$\mathbf{46446} := F(4\times 6)+F(4)\times 4!+6 = 6+4!\times F(4)+F(6\times 4)$$
$$\mathbf{46447} := F(4\times 6)+F(4)\times 4!+7 = 7+4!\times F(4)+F(6\times 4)$$
$$\mathbf{46448} := F(4\times 6)+F(4)\times 4!+8 = 8+4!\times F(4)+F(6\times 4)$$
$$\mathbf{46449} := F(4\times 6)+F(4)\times 4!+9 = 9+4!\times F(4)+F(6\times 4)$$

$$\mathbf{46480} := (-F(4)+F(6))!+F(4!)-8+0 = 0-8+F(4!)+(F(6)-F(4))!$$
$$\mathbf{46481} := (-F(4)+F(6))!+F(4!)-8+1 = 1-8+F(4!)+(F(6)-F(4))!$$
$$\mathbf{46482} := (-F(4)+F(6))!+F(4!)-8+2 = 2-8+F(4!)+(F(6)-F(4))!$$
$$\mathbf{46483} := (-F(4)+F(6))!+F(4!)-8+3 = 3-8+F(4!)+(F(6)-F(4))!$$
$$\mathbf{46484} := (-F(4)+F(6))!+F(4!)-8+4 = 4-8+F(4!)+(F(6)-F(4))!$$
$$\mathbf{46485} := (-F(4)+F(6))!+F(4!)-8+5 = 5-8+F(4!)+(F(6)-F(4))!$$
$$\mathbf{46486} := (-F(4)+F(6))!+F(4!)-8+6 = 6-8+F(4!)+(F(6)-F(4))!$$
$$\mathbf{46487} := (-F(4)+F(6))!+F(4!)-8+7 = 7-8+F(4!)+(F(6)-F(4))!$$
$$\mathbf{46488} := (-F(4)+F(6))!+F(4!)-8+8 = 8-8+F(4!)+(F(6)-F(4))!$$
$$\mathbf{46489} := (-F(4)+F(6))!+F(4!)-8+9 = 9-8+F(4!)+(F(6)-F(4))!$$

$$\mathbf{46560} := (4+6!)\times 5!-F(6)!+0 = 0-F(6)!+5!\times(6!+4)$$
$$\mathbf{46561} := (4+6!)\times 5!-F(6)!+1 = 1-F(6)!+5!\times(6!+4)$$
$$\mathbf{46562} := (4+6!)\times 5!-F(6)!+2 = 2-F(6)!+5!\times(6!+4)$$
$$\mathbf{46563} := (4+6!)\times 5!-F(6)!+3 = 3-F(6)!+5!\times(6!+4)$$
$$\mathbf{46564} := (4+6!)\times 5!-F(6)!+4 = 4-F(6)!+5!\times(6!+4)$$
$$\mathbf{46565} := (4+6!)\times 5!-F(6)!+5 = 5-F(6)!+5!\times(6!+4)$$
$$\mathbf{46566} := (4+6!)\times 5!-F(6)!+6 = 6-F(6)!+5!\times(6!+4)$$
$$\mathbf{46567} := (4+6!)\times 5!-F(6)!+7 = 7-F(6)!+5!\times(6!+4)$$
$$\mathbf{46568} := (4+6!)\times 5!-F(6)!+8 = 8-F(6)!+5!\times(6!+4)$$
$$\mathbf{46569} := (4+6!)\times 5!-F(6)!+9 = 9-F(6)!+5!\times(6!+4)$$

$$\mathbf{46580} := F(4!)+F(F(6)+5)-F(8)+0 = 0-F(8)+F(5+F(6))+F(4!)$$
$$\mathbf{46581} := F(4!)+F(F(6)+5)-F(8)+1 = 1-F(8)+F(5+F(6))+F(4!)$$
$$\mathbf{46582} := F(4!)+F(F(6)+5)-F(8)+2 = 2-F(8)+F(5+F(6))+F(4!)$$
$$\mathbf{46583} := F(4!)+F(F(6)+5)-F(8)+3 = 3-F(8)+F(5+F(6))+F(4!)$$
$$\mathbf{46584} := F(4!)+F(F(6)+5)-F(8)+4 = 4-F(8)+F(5+F(6))+F(4!)$$
$$\mathbf{46585} := F(4!)+F(F(6)+5)-F(8)+5 = 5-F(8)+F(5+F(6))+F(4!)$$
$$\mathbf{46586} := F(4!)+F(F(6)+5)-F(8)+6 = 6-F(8)+F(5+F(6))+F(4!)$$
$$\mathbf{46587} := F(4!)+F(F(6)+5)-F(8)+7 = 7-F(8)+F(5+F(6))+F(4!)$$
$$\mathbf{46588} := F(4!)+F(F(6)+5)-F(8)+8 = 8-F(8)+F(5+F(6))+F(4!)$$
$$\mathbf{46589} := F(4!)+F(F(6)+5)-F(8)+9 = 9-F(8)+F(5+F(6))+F(4!)$$

$$\mathbf{46620} := F(4!)+F(F(6))\times 6\times 2+0 = 0+2\times 6\times F(F(6))+F(4!)$$

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$$\mathbf{46621} := F(4!)+F(F(6))\times 6\times 2+1 = 1+2\times 6\times F(F(6))+F(4!)$$
$$\mathbf{46622} := F(4!)+F(F(6))\times 6\times 2+2 = 2+2\times 6\times F(F(6))+F(4!)$$
$$\mathbf{46623} := F(4!)+F(F(6))\times 6\times 2+3 = 3+2\times 6\times F(F(6))+F(4!)$$
$$\mathbf{46624} := F(4!)+F(F(6))\times 6\times 2+4 = 4+2\times 6\times F(F(6))+F(4!)$$
$$\mathbf{46625} := F(4!)+F(F(6))\times 6\times 2+5 = 5+2\times 6\times F(F(6))+F(4!)$$
$$\mathbf{46626} := F(4!)+F(F(6))\times 6\times 2+6 = 6+2\times 6\times F(F(6))+F(4!)$$
$$\mathbf{46627} := F(4!)+F(F(6))\times 6\times 2+7 = 7+2\times 6\times F(F(6))+F(4!)$$
$$\mathbf{46628} := F(4!)+F(F(6))\times 6\times 2+8 = 8+2\times 6\times F(F(6))+F(4!)$$
$$\mathbf{46629} := F(4!)+F(F(6))\times 6\times 2+9 = 9+2\times 6\times F(F(6))+F(4!)$$

$$\mathbf{46800} := F(4)!!\times (F(6)\times 8+0!)+0 = 0+(0!+8\times F(6))\times F(4)!!$$
$$\mathbf{46801} := F(4)!!\times (F(6)\times 8+0!)+1 = 1+(0!+8\times F(6))\times F(4)!!$$
$$\mathbf{46802} := F(4)!!\times (F(6)\times 8+0!)+2 = 2+(0!+8\times F(6))\times F(4)!!$$
$$\mathbf{46803} := F(4)!!\times (F(6)\times 8+0!)+3 = 3+(0!+8\times F(6))\times F(4)!!$$
$$\mathbf{46804} := F(4)!!\times (F(6)\times 8+0!)+4 = 4+(0!+8\times F(6))\times F(4)!!$$
$$\mathbf{46805} := F(4)!!\times (F(6)\times 8+0!)+5 = 5+(0!+8\times F(6))\times F(4)!!$$
$$\mathbf{46806} := F(4)!!\times (F(6)\times 8+0!)+6 = 6+(0!+8\times F(6))\times F(4)!!$$
$$\mathbf{46807} := F(4)!!\times (F(6)\times 8+0!)+7 = 7+(0!+8\times F(6))\times F(4)!!$$
$$\mathbf{46808} := F(4)!!\times (F(6)\times 8+0!)+8 = 8+(0!+8\times F(6))\times F(4)!!$$
$$\mathbf{46809} := F(4)!!\times (F(6)\times 8+0!)+9 = 9+(0!+8\times F(6))\times F(4)!!$$

$$\mathbf{46810} := F(4!)+F(F(6))\times F(8)+1+0 = 0+1+F(8)\times F(F(6))+F(4!)$$
$$\mathbf{46811} := F(4!)+F(F(6))\times F(8)+1+1 = 1+1+F(8)\times F(F(6))+F(4!)$$
$$\mathbf{46812} := F(4!)+F(F(6))\times F(8)+1+2 = 2+1+F(8)\times F(F(6))+F(4!)$$
$$\mathbf{46813} := F(4!)+F(F(6))\times F(8)+1+3 = 3+1+F(8)\times F(F(6))+F(4!)$$
$$\mathbf{46814} := F(4!)+F(F(6))\times F(8)+1+4 = 4+1+F(8)\times F(F(6))+F(4!)$$
$$\mathbf{46815} := F(4!)+F(F(6))\times F(8)+1+5 = 5+1+F(8)\times F(F(6))+F(4!)$$
$$\mathbf{46816} := F(4!)+F(F(6))\times F(8)+1+6 = 6+1+F(8)\times F(F(6))+F(4!)$$
$$\mathbf{46817} := F(4!)+F(F(6))\times F(8)+1+7 = 7+1+F(8)\times F(F(6))+F(4!)$$
$$\mathbf{46818} := F(4!)+F(F(6))\times F(8)+1+8 = 8+1+F(8)\times F(F(6))+F(4!)$$
$$\mathbf{46819} := F(4!)+F(F(6))\times F(8)+1+9 = 9+1+F(8)\times F(F(6))+F(4!)$$

$$\mathbf{46880} := F(4!)+F(6)\times 8\times 8+0 = 0+8\times 8\times F(6)+F(4!)$$
$$\mathbf{46881} := F(4!)+F(6)\times 8\times 8+1 = 1+8\times 8\times F(6)+F(4!)$$
$$\mathbf{46882} := F(4!)+F(6)\times 8\times 8+2 = 2+8\times 8\times F(6)+F(4!)$$
$$\mathbf{46883} := F(4!)+F(6)\times 8\times 8+3 = 3+8\times 8\times F(6)+F(4!)$$
$$\mathbf{46884} := F(4!)+F(6)\times 8\times 8+4 = 4+8\times 8\times F(6)+F(4!)$$
$$\mathbf{46885} := F(4!)+F(6)\times 8\times 8+5 = 5+8\times 8\times F(6)+F(4!)$$
$$\mathbf{46886} := F(4!)+F(6)\times 8\times 8+6 = 6+8\times 8\times F(6)+F(4!)$$
$$\mathbf{46887} := F(4!)+F(6)\times 8\times 8+7 = 7+8\times 8\times F(6)+F(4!)$$

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$$\mathbf{46888} := F(4!) + F(6) \times 8 \times 8 + 8 = 8 + 8 \times 8 \times F(6) + F(4!)$$
$$\mathbf{46889} := F(4!) + F(6) \times 8 \times 8 + 9 = 9 + 8 \times 8 \times F(6) + F(4!)$$

$$\mathbf{47080} := F(4!) + (7 - 0!)! - 8 + 0 = 0 - 8 + (-0! + 7)! + F(4!)$$
$$\mathbf{47081} := F(4!) + (7 - 0!)! - 8 + 1 = 1 - 8 + (-0! + 7)! + F(4!)$$
$$\mathbf{47082} := F(4!) + (7 - 0!)! - 8 + 2 = 2 - 8 + (-0! + 7)! + F(4!)$$
$$\mathbf{47083} := F(4!) + (7 - 0!)! - 8 + 3 = 3 - 8 + (-0! + 7)! + F(4!)$$
$$\mathbf{47084} := F(4!) + (7 - 0!)! - 8 + 4 = 4 - 8 + (-0! + 7)! + F(4!)$$
$$\mathbf{47085} := F(4!) + (7 - 0!)! - 8 + 5 = 5 - 8 + (-0! + 7)! + F(4!)$$
$$\mathbf{47086} := F(4!) + (7 - 0!)! - 8 + 6 = 6 - 8 + (-0! + 7)! + F(4!)$$
$$\mathbf{47087} := F(4!) + (7 - 0!)! - 8 + 7 = 7 - 8 + (-0! + 7)! + F(4!)$$
$$\mathbf{47088} := F(4!) + (7 - 0!)! - 8 + 8 = 8 - 8 + (-0! + 7)! + F(4!)$$
$$\mathbf{47089} := F(4!) + (7 - 0!)! - 8 + 9 = 9 - 8 + (-0! + 7)! + F(4!)$$

$$\mathbf{47240} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 0 = 0 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$
$$\mathbf{47241} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 1 = 1 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$
$$\mathbf{47242} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 2 = 2 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$
$$\mathbf{47243} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 3 = 3 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$
$$\mathbf{47244} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 4 = 4 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$
$$\mathbf{47245} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 5 = 5 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$
$$\mathbf{47246} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 6 = 6 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$
$$\mathbf{47247} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 7 = 7 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$
$$\mathbf{47248} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 8 = 8 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$
$$\mathbf{47249} := F(F(4)!) \times (-7! - F(2) + F(F(F(F(4)!)))) + 9 = 9 + (F(F(F(F(4)!))) - F(2) - 7!) \times F(F(4)!)$$

$$\mathbf{47300} := F(4!) + F(F(7)) \times (3 + 0!) + 0 = 0 + (0! + 3) \times F(F(7)) + F(4!)$$
$$\mathbf{47301} := F(4!) + F(F(7)) \times (3 + 0!) + 1 = 1 + (0! + 3) \times F(F(7)) + F(4!)$$
$$\mathbf{47302} := F(4!) + F(F(7)) \times (3 + 0!) + 2 = 2 + (0! + 3) \times F(F(7)) + F(4!)$$
$$\mathbf{47303} := F(4!) + F(F(7)) \times (3 + 0!) + 3 = 3 + (0! + 3) \times F(F(7)) + F(4!)$$
$$\mathbf{47304} := F(4!) + F(F(7)) \times (3 + 0!) + 4 = 4 + (0! + 3) \times F(F(7)) + F(4!)$$
$$\mathbf{47305} := F(4!) + F(F(7)) \times (3 + 0!) + 5 = 5 + (0! + 3) \times F(F(7)) + F(4!)$$
$$\mathbf{47306} := F(4!) + F(F(7)) \times (3 + 0!) + 6 = 6 + (0! + 3) \times F(F(7)) + F(4!)$$
$$\mathbf{47307} := F(4!) + F(F(7)) \times (3 + 0!) + 7 = 7 + (0! + 3) \times F(F(7)) + F(4!)$$
$$\mathbf{47308} := F(4!) + F(F(7)) \times (3 + 0!) + 8 = 8 + (0! + 3) \times F(F(7)) + F(4!)$$
$$\mathbf{47309} := F(4!) + F(F(7)) \times (3 + 0!) + 9 = 9 + (0! + 3) \times F(F(7)) + F(4!)$$

$$\mathbf{47350} := F(4!) + F(F(7) + 3) - 5 + 0 = 0 - 5 + F(3 + F(7)) + F(4!)$$
$$\mathbf{47351} := F(4!) + F(F(7) + 3) - 5 + 1 = 1 - 5 + F(3 + F(7)) + F(4!)$$
$$\mathbf{47352} := F(4!) + F(F(7) + 3) - 5 + 2 = 2 - 5 + F(3 + F(7)) + F(4!)$$
$$\mathbf{47353} := F(4!) + F(F(7) + 3) - 5 + 3 = 3 - 5 + F(3 + F(7)) + F(4!)$$

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$$\mathbf{47354} := F(4!)+F(F(7)+3)-5+4 = 4-5+F(3+F(7))+F(4!)$$
$$\mathbf{47355} := F(4!)+F(F(7)+3)-5+5 = 5-5+F(3+F(7))+F(4!)$$
$$\mathbf{47356} := F(4!)+F(F(7)+3)-5+6 = 6-5+F(3+F(7))+F(4!)$$
$$\mathbf{47357} := F(4!)+F(F(7)+3)-5+7 = 7-5+F(3+F(7))+F(4!)$$
$$\mathbf{47358} := F(4!)+F(F(7)+3)-5+8 = 8-5+F(3+F(7))+F(4!)$$
$$\mathbf{47359} := F(4!)+F(F(7)+3)-5+9 = 9-5+F(3+F(7))+F(4!)$$

$$\mathbf{47440} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+0 = 0+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$
$$\mathbf{47441} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+1 = 1+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$
$$\mathbf{47442} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+2 = 2+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$
$$\mathbf{47443} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+3 = 3+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$
$$\mathbf{47444} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+4 = 4+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$
$$\mathbf{47445} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+5 = 5+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$
$$\mathbf{47446} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+6 = 6+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$
$$\mathbf{47447} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+7 = 7+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$
$$\mathbf{47448} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+8 = 8+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$
$$\mathbf{47449} := F(F(4)!)\times(-7!+4!+F(F(F((F(4))!))))+9 = 9+(F(F(F((F(4))!)))+4!-7!)\times F(F(4)!)$$

$$\mathbf{47460} := F(4!)+F(7)\times 4\times F(F(6))+0 = 0+F(F(6))\times 4\times F(7)+F(4!)$$
$$\mathbf{47461} := F(4!)+F(7)\times 4\times F(F(6))+1 = 1+F(F(6))\times 4\times F(7)+F(4!)$$
$$\mathbf{47462} := F(4!)+F(7)\times 4\times F(F(6))+2 = 2+F(F(6))\times 4\times F(7)+F(4!)$$
$$\mathbf{47463} := F(4!)+F(7)\times 4\times F(F(6))+3 = 3+F(F(6))\times 4\times F(7)+F(4!)$$
$$\mathbf{47464} := F(4!)+F(7)\times 4\times F(F(6))+4 = 4+F(F(6))\times 4\times F(7)+F(4!)$$
$$\mathbf{47465} := F(4!)+F(7)\times 4\times F(F(6))+5 = 5+F(F(6))\times 4\times F(7)+F(4!)$$
$$\mathbf{47466} := F(4!)+F(7)\times 4\times F(F(6))+6 = 6+F(F(6))\times 4\times F(7)+F(4!)$$
$$\mathbf{47467} := F(4!)+F(7)\times 4\times F(F(6))+7 = 7+F(F(6))\times 4\times F(7)+F(4!)$$
$$\mathbf{47468} := F(4!)+F(7)\times 4\times F(F(6))+8 = 8+F(F(6))\times 4\times F(7)+F(4!)$$
$$\mathbf{47469} := F(4!)+F(7)\times 4\times F(F(6))+9 = 9+F(F(6))\times 4\times F(7)+F(4!)$$

$$\mathbf{47520} := F(4)!!\times(F(7)\times 5+F(2))+0 = 0+(F(2)+5\times F(7))\times F(4)!!$$
$$\mathbf{47521} := F(4)!!\times(F(7)\times 5+F(2))+1 = 1+(F(2)+5\times F(7))\times F(4)!!$$
$$\mathbf{47522} := F(4)!!\times(F(7)\times 5+F(2))+2 = 2+(F(2)+5\times F(7))\times F(4)!!$$
$$\mathbf{47523} := F(4)!!\times(F(7)\times 5+F(2))+3 = 3+(F(2)+5\times F(7))\times F(4)!!$$
$$\mathbf{47524} := F(4)!!\times(F(7)\times 5+F(2))+4 = 4+(F(2)+5\times F(7))\times F(4)!!$$
$$\mathbf{47525} := F(4)!!\times(F(7)\times 5+F(2))+5 = 5+(F(2)+5\times F(7))\times F(4)!!$$
$$\mathbf{47526} := F(4)!!\times(F(7)\times 5+F(2))+6 = 6+(F(2)+5\times F(7))\times F(4)!!$$
$$\mathbf{47527} := F(4)!!\times(F(7)\times 5+F(2))+7 = 7+(F(2)+5\times F(7))\times F(4)!!$$
$$\mathbf{47528} := F(4)!!\times(F(7)\times 5+F(2))+8 = 8+(F(2)+5\times F(7))\times F(4)!!$$
$$\mathbf{47529} := F(4)!!\times(F(7)\times 5+F(2))+9 = 9+(F(2)+5\times F(7))\times F(4)!!$$

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$$\mathbf{47640} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 0 = 0 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$
$$\mathbf{47641} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 1 = 1 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$
$$\mathbf{47642} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 2 = 2 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$
$$\mathbf{47643} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 3 = 3 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$
$$\mathbf{47644} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 4 = 4 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$
$$\mathbf{47645} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 5 = 5 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$
$$\mathbf{47646} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 6 = 6 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$
$$\mathbf{47647} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 7 = 7 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$
$$\mathbf{47648} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 8 = 8 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$
$$\mathbf{47649} := F(4)! \times (F(F(7)) - F(F(6))) + F(4!) + 9 = 9 + F(4!) - (F(F(6)) - F(F(7))) \times F(4)!$$

$$\mathbf{47960} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 0 = 0 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$
$$\mathbf{47961} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 1 = 1 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$
$$\mathbf{47962} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 2 = 2 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$
$$\mathbf{47963} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 3 = 3 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$
$$\mathbf{47964} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 4 = 4 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$
$$\mathbf{47965} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 5 = 5 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$
$$\mathbf{47966} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 6 = 6 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$
$$\mathbf{47967} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 7 = 7 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$
$$\mathbf{47968} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 8 = 8 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$
$$\mathbf{47969} := F(4!) + (F(F(7)) - F(9)) \times F(6) + 9 = 9 + F(6) \times (-F(9) + F(F(7))) + F(4!)$$

$$\mathbf{48360} := (F(4!) - 8! - 3) \times F(6) + 0 = 0 + F(6) \times (-3 - 8! + F(4!))$$
$$\mathbf{48361} := (F(4!) - 8! - 3) \times F(6) + 1 = 1 + F(6) \times (-3 - 8! + F(4!))$$
$$\mathbf{48362} := (F(4!) - 8! - 3) \times F(6) + 2 = 2 + F(6) \times (-3 - 8! + F(4!))$$
$$\mathbf{48363} := (F(4!) - 8! - 3) \times F(6) + 3 = 3 + F(6) \times (-3 - 8! + F(4!))$$
$$\mathbf{48364} := (F(4!) - 8! - 3) \times F(6) + 4 = 4 + F(6) \times (-3 - 8! + F(4!))$$
$$\mathbf{48365} := (F(4!) - 8! - 3) \times F(6) + 5 = 5 + F(6) \times (-3 - 8! + F(4!))$$
$$\mathbf{48366} := (F(4!) - 8! - 3) \times F(6) + 6 = 6 + F(6) \times (-3 - 8! + F(4!))$$
$$\mathbf{48367} := (F(4!) - 8! - 3) \times F(6) + 7 = 7 + F(6) \times (-3 - 8! + F(4!))$$
$$\mathbf{48368} := (F(4!) - 8! - 3) \times F(6) + 8 = 8 + F(6) \times (-3 - 8! + F(4!))$$
$$\mathbf{48369} := (F(4!) - 8! - 3) \times F(6) + 9 = 9 + F(6) \times (-3 - 8! + F(4!))$$

$$\mathbf{48630} := F(4!) + F(8+6) \times 3! + 0 = 0 + 3! \times F(6+8) + F(4!)$$
$$\mathbf{48631} := F(4!) + F(8+6) \times 3! + 1 = 1 + 3! \times F(6+8) + F(4!)$$
$$\mathbf{48632} := F(4!) + F(8+6) \times 3! + 2 = 2 + 3! \times F(6+8) + F(4!)$$
$$\mathbf{48633} := F(4!) + F(8+6) \times 3! + 3 = 3 + 3! \times F(6+8) + F(4!)$$
$$\mathbf{48634} := F(4!) + F(8+6) \times 3! + 4 = 4 + 3! \times F(6+8) + F(4!)$$
$$\mathbf{48635} := F(4!) + F(8+6) \times 3! + 5 = 5 + 3! \times F(6+8) + F(4!)$$
$$\mathbf{48636} := F(4!) + F(8+6) \times 3! + 6 = 6 + 3! \times F(6+8) + F(4!)$$

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$$\mathbf{48637} := F(4!) + F(8+6) \times 3! + 7 = 7 + 3! \times F(6+8) + F(4!)$$
$$\mathbf{48638} := F(4!) + F(8+6) \times 3! + 8 = 8 + 3! \times F(6+8) + F(4!)$$
$$\mathbf{48639} := F(4!) + F(8+6) \times 3! + 9 = 9 + 3! \times F(6+8) + F(4!)$$

$$\mathbf{48790} := 4 \times F(F(8)) + 7! - F(9) + 0 = 0 - F(9) + 7! + F(F(8)) \times 4$$
$$\mathbf{48791} := 4 \times F(F(8)) + 7! - F(9) + 1 = 1 - F(9) + 7! + F(F(8)) \times 4$$
$$\mathbf{48792} := 4 \times F(F(8)) + 7! - F(9) + 2 = 2 - F(9) + 7! + F(F(8)) \times 4$$
$$\mathbf{48793} := 4 \times F(F(8)) + 7! - F(9) + 3 = 3 - F(9) + 7! + F(F(8)) \times 4$$
$$\mathbf{48794} := 4 \times F(F(8)) + 7! - F(9) + 4 = 4 - F(9) + 7! + F(F(8)) \times 4$$
$$\mathbf{48795} := 4 \times F(F(8)) + 7! - F(9) + 5 = 5 - F(9) + 7! + F(F(8)) \times 4$$
$$\mathbf{48796} := 4 \times F(F(8)) + 7! - F(9) + 6 = 6 - F(9) + 7! + F(F(8)) \times 4$$
$$\mathbf{48797} := 4 \times F(F(8)) + 7! - F(9) + 7 = 7 - F(9) + 7! + F(F(8)) \times 4$$
$$\mathbf{48798} := 4 \times F(F(8)) + 7! - F(9) + 8 = 8 - F(9) + 7! + F(F(8)) \times 4$$
$$\mathbf{48799} := 4 \times F(F(8)) + 7! - F(9) + 9 = 9 - F(9) + 7! + F(F(8)) \times 4$$

$$\mathbf{52680} := 5! \times (-2 + F(F(6)) \times F(8)) + 0 = 0 + (F(8) \times F(F(6)) - 2) \times 5!$$
$$\mathbf{52681} := 5! \times (-2 + F(F(6)) \times F(8)) + 1 = 1 + (F(8) \times F(F(6)) - 2) \times 5!$$
$$\mathbf{52682} := 5! \times (-2 + F(F(6)) \times F(8)) + 2 = 2 + (F(8) \times F(F(6)) - 2) \times 5!$$
$$\mathbf{52683} := 5! \times (-2 + F(F(6)) \times F(8)) + 3 = 3 + (F(8) \times F(F(6)) - 2) \times 5!$$
$$\mathbf{52684} := 5! \times (-2 + F(F(6)) \times F(8)) + 4 = 4 + (F(8) \times F(F(6)) - 2) \times 5!$$
$$\mathbf{52685} := 5! \times (-2 + F(F(6)) \times F(8)) + 5 = 5 + (F(8) \times F(F(6)) - 2) \times 5!$$
$$\mathbf{52686} := 5! \times (-2 + F(F(6)) \times F(8)) + 6 = 6 + (F(8) \times F(F(6)) - 2) \times 5!$$
$$\mathbf{52687} := 5! \times (-2 + F(F(6)) \times F(8)) + 7 = 7 + (F(8) \times F(F(6)) - 2) \times 5!$$
$$\mathbf{52688} := 5! \times (-2 + F(F(6)) \times F(8)) + 8 = 8 + (F(8) \times F(F(6)) - 2) \times 5!$$
$$\mathbf{52689} := 5! \times (-2 + F(F(6)) \times F(8)) + 9 = 9 + (F(8) \times F(F(6)) - 2) \times 5!$$

$$\mathbf{53160} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 0 = 0 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$
$$\mathbf{53161} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 1 = 1 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$
$$\mathbf{53162} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 2 = 2 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$
$$\mathbf{53163} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 3 = 3 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$
$$\mathbf{53164} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 4 = 4 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$
$$\mathbf{53165} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 5 = 5 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$
$$\mathbf{53166} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 6 = 6 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$
$$\mathbf{53167} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 7 = 7 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$
$$\mathbf{53168} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 8 = 8 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$
$$\mathbf{53169} := (-5! + F(F(F(3!)) - 1)) \times F(6) + 9 = 9 + F(6) \times (F(-1 + F(F(3!))) - 5!)$$

$$\mathbf{53530} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 0 = 0 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$
$$\mathbf{53531} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 1 = 1 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$
$$\mathbf{53532} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 2 = 2 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$

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$$\mathbf{53533} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 3 = 3 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$
$$\mathbf{53534} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 4 = 4 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$
$$\mathbf{53535} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 5 = 5 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$
$$\mathbf{53536} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 6 = 6 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$
$$\mathbf{53537} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 7 = 7 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$
$$\mathbf{53538} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 8 = 8 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$
$$\mathbf{53539} := 5 \times (F(F(F(3!))) - 5! \times F(3)) + 9 = 9 - (F(3) \times 5! - F(F(F(3!)))) \times 5$$

$$\mathbf{53670} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 0 = 0 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$
$$\mathbf{53671} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 1 = 1 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$
$$\mathbf{53672} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 2 = 2 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$
$$\mathbf{53673} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 3 = 3 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$
$$\mathbf{53674} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 4 = 4 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$
$$\mathbf{53675} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 5 = 5 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$
$$\mathbf{53676} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 6 = 6 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$
$$\mathbf{53677} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 7 = 7 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$
$$\mathbf{53678} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 8 = 8 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$
$$\mathbf{53679} := 5 \times (F(F(3!)) + F(F(F(6))) - F(F(7))) + 9 = 9 - (F(F(7)) - F(F(F(6))) - F(F(3!))) \times 5$$

$$\mathbf{53760} := 5! \times F(3!) \times 7 \times F(6) + 0 = 0 + F(6) \times 7 \times F(3!) \times 5!$$
$$\mathbf{53761} := 5! \times F(3!) \times 7 \times F(6) + 1 = 1 + F(6) \times 7 \times F(3!) \times 5!$$
$$\mathbf{53762} := 5! \times F(3!) \times 7 \times F(6) + 2 = 2 + F(6) \times 7 \times F(3!) \times 5!$$
$$\mathbf{53763} := 5! \times F(3!) \times 7 \times F(6) + 3 = 3 + F(6) \times 7 \times F(3!) \times 5!$$
$$\mathbf{53764} := 5! \times F(3!) \times 7 \times F(6) + 4 = 4 + F(6) \times 7 \times F(3!) \times 5!$$
$$\mathbf{53765} := 5! \times F(3!) \times 7 \times F(6) + 5 = 5 + F(6) \times 7 \times F(3!) \times 5!$$
$$\mathbf{53766} := 5! \times F(3!) \times 7 \times F(6) + 6 = 6 + F(6) \times 7 \times F(3!) \times 5!$$
$$\mathbf{53767} := 5! \times F(3!) \times 7 \times F(6) + 7 = 7 + F(6) \times 7 \times F(3!) \times 5!$$
$$\mathbf{53768} := 5! \times F(3!) \times 7 \times F(6) + 8 = 8 + F(6) \times 7 \times F(3!) \times 5!$$
$$\mathbf{53769} := 5! \times F(3!) \times 7 \times F(6) + 9 = 9 + F(6) \times 7 \times F(3!) \times 5!$$

$$\mathbf{54080} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 0 = 0 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$
$$\mathbf{54081} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 1 = 1 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$
$$\mathbf{54082} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 2 = 2 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$
$$\mathbf{54083} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 3 = 3 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$
$$\mathbf{54084} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 4 = 4 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$
$$\mathbf{54085} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 5 = 5 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$
$$\mathbf{54086} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 6 = 6 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$
$$\mathbf{54087} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 7 = 7 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$
$$\mathbf{54088} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 8 = 8 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$
$$\mathbf{54089} := (-5 + F(F(F(F(4)!)) - 0!)) \times 8 + 9 = 9 + 8 \times (F(-0! + F(F(F(4)!))) - 5)$$

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$$\mathbf{54120} := F(5\times 4)\times F((1+2)!)+0 \;=\; 0+F((2+1)!)\times F(4\times 5)$$
$$\mathbf{54121} := F(5\times 4)\times F((1+2)!)+1 \;=\; 1+F((2+1)!)\times F(4\times 5)$$
$$\mathbf{54122} := F(5\times 4)\times F((1+2)!)+2 \;=\; 2+F((2+1)!)\times F(4\times 5)$$
$$\mathbf{54123} := F(5\times 4)\times F((1+2)!)+3 \;=\; 3+F((2+1)!)\times F(4\times 5)$$
$$\mathbf{54124} := F(5\times 4)\times F((1+2)!)+4 \;=\; 4+F((2+1)!)\times F(4\times 5)$$
$$\mathbf{54125} := F(5\times 4)\times F((1+2)!)+5 \;=\; 5+F((2+1)!)\times F(4\times 5)$$
$$\mathbf{54126} := F(5\times 4)\times F((1+2)!)+6 \;=\; 6+F((2+1)!)\times F(4\times 5)$$
$$\mathbf{54127} := F(5\times 4)\times F((1+2)!)+7 \;=\; 7+F((2+1)!)\times F(4\times 5)$$
$$\mathbf{54128} := F(5\times 4)\times F((1+2)!)+8 \;=\; 8+F((2+1)!)\times F(4\times 5)$$
$$\mathbf{54129} := F(5\times 4)\times F((1+2)!)+9 \;=\; 9+F((2+1)!)\times F(4\times 5)$$

$$\mathbf{54130} := 5\times(-(4+1)!+F(F(F(3!))))+0 \;=\; 0+(F(F(F(3!)))-(1+4)!)\times 5$$
$$\mathbf{54131} := 5\times(-(4+1)!+F(F(F(3!))))+1 \;=\; 1+(F(F(F(3!)))-(1+4)!)\times 5$$
$$\mathbf{54132} := 5\times(-(4+1)!+F(F(F(3!))))+2 \;=\; 2+(F(F(F(3!)))-(1+4)!)\times 5$$
$$\mathbf{54133} := 5\times(-(4+1)!+F(F(F(3!))))+3 \;=\; 3+(F(F(F(3!)))-(1+4)!)\times 5$$
$$\mathbf{54134} := 5\times(-(4+1)!+F(F(F(3!))))+4 \;=\; 4+(F(F(F(3!)))-(1+4)!)\times 5$$
$$\mathbf{54135} := 5\times(-(4+1)!+F(F(F(3!))))+5 \;=\; 5+(F(F(F(3!)))-(1+4)!)\times 5$$
$$\mathbf{54136} := 5\times(-(4+1)!+F(F(F(3!))))+6 \;=\; 6+(F(F(F(3!)))-(1+4)!)\times 5$$
$$\mathbf{54137} := 5\times(-(4+1)!+F(F(F(3!))))+7 \;=\; 7+(F(F(F(3!)))-(1+4)!)\times 5$$
$$\mathbf{54138} := 5\times(-(4+1)!+F(F(F(3!))))+8 \;=\; 8+(F(F(F(3!)))-(1+4)!)\times 5$$
$$\mathbf{54139} := 5\times(-(4+1)!+F(F(F(3!))))+9 \;=\; 9+(F(F(F(3!)))-(1+4)!)\times 5$$

$$\mathbf{54160} := (5+F(F(F(F(4)!))-1))\times F(6)+0 \;=\; 0+F(6)\times(F(-1+F(F(F(4)!)))+5)$$
$$\mathbf{54161} := (5+F(F(F(F(4)!))-1))\times F(6)+1 \;=\; 1+F(6)\times(F(-1+F(F(F(4)!)))+5)$$
$$\mathbf{54162} := (5+F(F(F(F(4)!))-1))\times F(6)+2 \;=\; 2+F(6)\times(F(-1+F(F(F(4)!)))+5)$$
$$\mathbf{54163} := (5+F(F(F(F(4)!))-1))\times F(6)+3 \;=\; 3+F(6)\times(F(-1+F(F(F(4)!)))+5)$$
$$\mathbf{54164} := (5+F(F(F(F(4)!))-1))\times F(6)+4 \;=\; 4+F(6)\times(F(-1+F(F(F(4)!)))+5)$$
$$\mathbf{54165} := (5+F(F(F(F(4)!))-1))\times F(6)+5 \;=\; 5+F(6)\times(F(-1+F(F(F(4)!)))+5)$$
$$\mathbf{54166} := (5+F(F(F(F(4)!))-1))\times F(6)+6 \;=\; 6+F(6)\times(F(-1+F(F(F(4)!)))+5)$$
$$\mathbf{54167} := (5+F(F(F(F(4)!))-1))\times F(6)+7 \;=\; 7+F(6)\times(F(-1+F(F(F(4)!)))+5)$$
$$\mathbf{54168} := (5+F(F(F(F(4)!))-1))\times F(6)+8 \;=\; 8+F(6)\times(F(-1+F(F(F(4)!)))+5)$$
$$\mathbf{54169} := (5+F(F(F(F(4)!))-1))\times F(6)+9 \;=\; 9+F(6)\times(F(-1+F(F(F(4)!)))+5)$$

$$\mathbf{54240} := 5!+F(F(F(F(4)!))-F(2))\times F(F(4)!)+0 \;=\; 0+F(F(4)!)\times F(-F(2)+F(F(F(4)!)))+5!$$
$$\mathbf{54241} := 5!+F(F(F(F(4)!))-F(2))\times F(F(4)!)+1 \;=\; 1+F(F(4)!)\times F(-F(2)+F(F(F(4)!)))+5!$$
$$\mathbf{54242} := 5!+F(F(F(F(4)!))-F(2))\times F(F(4)!)+2 \;=\; 2+F(F(4)!)\times F(-F(2)+F(F(F(4)!)))+5!$$
$$\mathbf{54243} := 5!+F(F(F(F(4)!))-F(2))\times F(F(4)!)+3 \;=\; 3+F(F(4)!)\times F(-F(2)+F(F(F(4)!)))+5!$$
$$\mathbf{54244} := 5!+F(F(F(F(4)!))-F(2))\times F(F(4)!)+4 \;=\; 4+F(F(4)!)\times F(-F(2)+F(F(F(4)!)))+5!$$
$$\mathbf{54245} := 5!+F(F(F(F(4)!))-F(2))\times F(F(4)!)+5 \;=\; 5+F(F(4)!)\times F(-F(2)+F(F(F(4)!)))+5!$$

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$$\mathbf{54246} := 5! + F(F(F(F(4!)) - F(2)) \times F(F(4)!) + 6 = 6 + F(F(4)!) \times F(-F(2) + F(F(F(4)!))) + 5!$$
$$\mathbf{54247} := 5! + F(F(F(F(4!)) - F(2)) \times F(F(4)!) + 7 = 7 + F(F(4)!) \times F(-F(2) + F(F(F(4)!))) + 5!$$
$$\mathbf{54248} := 5! + F(F(F(F(4!)) - F(2)) \times F(F(4)!) + 8 = 8 + F(F(4)!) \times F(-F(2) + F(F(F(4)!))) + 5!$$
$$\mathbf{54249} := 5! + F(F(F(F(4!)) - F(2)) \times F(F(4)!) + 9 = 9 + F(F(4)!) \times F(-F(2) + F(F(F(4)!))) + 5!$$

$$\mathbf{54390} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 0 = 0 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54391} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 1 = 1 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54392} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 2 = 2 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54393} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 3 = 3 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54394} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 4 = 4 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54395} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 5 = 5 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54396} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 6 = 6 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54397} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 7 = 7 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54398} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 8 = 8 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54399} := 5 \times (F(F(F(F(4!))) - F(3) \times F(9)) + 9 = 9 + (-F(9) \times F(3) + F(F(F(F(4)!)))) \times 5$$

$$\mathbf{54470} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 0 = 0 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54471} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 1 = 1 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54472} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 2 = 2 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54473} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 3 = 3 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54474} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 4 = 4 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54475} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 5 = 5 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54476} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 6 = 6 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54477} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 7 = 7 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54478} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 8 = 8 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54479} := 5 \times (F(F(F(F(4!))) - 4 \times F(7)) + 9 = 9 + (-F(7) \times 4 + F(F(F(F(4)!)))) \times 5$$

$$\mathbf{54610} := 5 \times (-4! + F(F(F(6 \times 1)))) + 0 = 0 + (F(F(F(1 \times 6))) - 4!) \times 5$$
$$\mathbf{54611} := 5 \times (-4! + F(F(F(6 \times 1)))) + 1 = 1 + (F(F(F(1 \times 6))) - 4!) \times 5$$
$$\mathbf{54612} := 5 \times (-4! + F(F(F(6 \times 1)))) + 2 = 2 + (F(F(F(1 \times 6))) - 4!) \times 5$$
$$\mathbf{54613} := 5 \times (-4! + F(F(F(6 \times 1)))) + 3 = 3 + (F(F(F(1 \times 6))) - 4!) \times 5$$
$$\mathbf{54614} := 5 \times (-4! + F(F(F(6 \times 1)))) + 4 = 4 + (F(F(F(1 \times 6))) - 4!) \times 5$$
$$\mathbf{54615} := 5 \times (-4! + F(F(F(6 \times 1)))) + 5 = 5 + (F(F(F(1 \times 6))) - 4!) \times 5$$
$$\mathbf{54616} := 5 \times (-4! + F(F(F(6 \times 1)))) + 6 = 6 + (F(F(F(1 \times 6))) - 4!) \times 5$$
$$\mathbf{54617} := 5 \times (-4! + F(F(F(6 \times 1)))) + 7 = 7 + (F(F(F(1 \times 6))) - 4!) \times 5$$
$$\mathbf{54618} := 5 \times (-4! + F(F(F(6 \times 1)))) + 8 = 8 + (F(F(F(1 \times 6))) - 4!) \times 5$$
$$\mathbf{54619} := 5 \times (-4! + F(F(F(6 \times 1)))) + 9 = 9 + (F(F(F(1 \times 6))) - 4!) \times 5$$

$$\mathbf{54620} := 5 \times (-4! + F(F(F(6))) + 2) + 0 = 0 + (2 + F(F(F(6))) - 4!) \times 5$$
$$\mathbf{54621} := 5 \times (-4! + F(F(F(6))) + 2) + 1 = 1 + (2 + F(F(F(6))) - 4!) \times 5$$

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$$\mathbf{54622} := 5 \times (-4! + F(F(F(6))) + 2) + 2 = 2 + (2 + F(F(F(6))) - 4!) \times 5$$
$$\mathbf{54623} := 5 \times (-4! + F(F(F(6))) + 2) + 3 = 3 + (2 + F(F(F(6))) - 4!) \times 5$$
$$\mathbf{54624} := 5 \times (-4! + F(F(F(6))) + 2) + 4 = 4 + (2 + F(F(F(6))) - 4!) \times 5$$
$$\mathbf{54625} := 5 \times (-4! + F(F(F(6))) + 2) + 5 = 5 + (2 + F(F(F(6))) - 4!) \times 5$$
$$\mathbf{54626} := 5 \times (-4! + F(F(F(6))) + 2) + 6 = 6 + (2 + F(F(F(6))) - 4!) \times 5$$
$$\mathbf{54627} := 5 \times (-4! + F(F(F(6))) + 2) + 7 = 7 + (2 + F(F(F(6))) - 4!) \times 5$$
$$\mathbf{54628} := 5 \times (-4! + F(F(F(6))) + 2) + 8 = 8 + (2 + F(F(F(6))) - 4!) \times 5$$
$$\mathbf{54629} := 5 \times (-4! + F(F(F(6))) + 2) + 9 = 9 + (2 + F(F(F(6))) - 4!) \times 5$$

$$\mathbf{54630} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 0 = 0 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$
$$\mathbf{54631} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 1 = 1 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$
$$\mathbf{54632} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 2 = 2 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$
$$\mathbf{54633} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 3 = 3 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$
$$\mathbf{54634} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 4 = 4 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$
$$\mathbf{54635} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 5 = 5 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$
$$\mathbf{54636} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 6 = 6 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$
$$\mathbf{54637} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 7 = 7 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$
$$\mathbf{54638} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 8 = 8 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$
$$\mathbf{54639} := 5 \times (F(F(F(4))) + F(F(F(6))) - F(F(3!))) + 9 = 9 - (F(F(3!)) - F(F(F(6))) - F(F(F(4)))) \times 5$$

$$\mathbf{54640} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 0 = 0 + (-4! + F(F(F(6))) + F(4)!) \times 5$$
$$\mathbf{54641} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 1 = 1 + (-4! + F(F(F(6))) + F(4)!) \times 5$$
$$\mathbf{54642} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 2 = 2 + (-4! + F(F(F(6))) + F(4)!) \times 5$$
$$\mathbf{54643} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 3 = 3 + (-4! + F(F(F(6))) + F(4)!) \times 5$$
$$\mathbf{54644} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 4 = 4 + (-4! + F(F(F(6))) + F(4)!) \times 5$$
$$\mathbf{54645} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 5 = 5 + (-4! + F(F(F(6))) + F(4)!) \times 5$$
$$\mathbf{54646} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 6 = 6 + (-4! + F(F(F(6))) + F(4)!) \times 5$$
$$\mathbf{54647} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 7 = 7 + (-4! + F(F(F(6))) + F(4)!) \times 5$$
$$\mathbf{54648} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 8 = 8 + (-4! + F(F(F(6))) + F(4)!) \times 5$$
$$\mathbf{54649} := 5 \times (F(4)! + F(F(F(6))) - 4!) + 9 = 9 + (-4! + F(F(F(6))) + F(4)!) \times 5$$

$$\mathbf{54650} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 0 = 0 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$
$$\mathbf{54651} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 1 = 1 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$
$$\mathbf{54652} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 2 = 2 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$
$$\mathbf{54653} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 3 = 3 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$
$$\mathbf{54654} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 4 = 4 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$
$$\mathbf{54655} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 5 = 5 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$
$$\mathbf{54656} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 6 = 6 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$
$$\mathbf{54657} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 7 = 7 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$
$$\mathbf{54658} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 8 = 8 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$

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$$\mathbf{54659} := 5 \times (F(F(4)!) + F(F(F(6)))) - 5! + 9 = 9 - 5! + (F(F(F(6))) + F(F(4)!)) \times 5$$

$$\mathbf{54660} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 0 = 0 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$
$$\mathbf{54661} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 1 = 1 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$
$$\mathbf{54662} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 2 = 2 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$
$$\mathbf{54663} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 3 = 3 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$
$$\mathbf{54664} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 4 = 4 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$
$$\mathbf{54665} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 5 = 5 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$
$$\mathbf{54666} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 6 = 6 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$
$$\mathbf{54667} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 7 = 7 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$
$$\mathbf{54668} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 8 = 8 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$
$$\mathbf{54669} := 5 \times (-F(4)! - F(6) + F(F(F(6)))) + 9 = 9 + (F(F(F(6))) - F(6) - F(4)!) \times 5$$

$$\mathbf{54700} := 5 \times (-F(4)! + F(F(7 + 0!))) + 0 = 0 + (F(F(0! + 7)) - F(4)!) \times 5$$
$$\mathbf{54701} := 5 \times (-F(4)! + F(F(7 + 0!))) + 1 = 1 + (F(F(0! + 7)) - F(4)!) \times 5$$
$$\mathbf{54702} := 5 \times (-F(4)! + F(F(7 + 0!))) + 2 = 2 + (F(F(0! + 7)) - F(4)!) \times 5$$
$$\mathbf{54703} := 5 \times (-F(4)! + F(F(7 + 0!))) + 3 = 3 + (F(F(0! + 7)) - F(4)!) \times 5$$
$$\mathbf{54704} := 5 \times (-F(4)! + F(F(7 + 0!))) + 4 = 4 + (F(F(0! + 7)) - F(4)!) \times 5$$
$$\mathbf{54705} := 5 \times (-F(4)! + F(F(7 + 0!))) + 5 = 5 + (F(F(0! + 7)) - F(4)!) \times 5$$
$$\mathbf{54706} := 5 \times (-F(4)! + F(F(7 + 0!))) + 6 = 6 + (F(F(0! + 7)) - F(4)!) \times 5$$
$$\mathbf{54707} := 5 \times (-F(4)! + F(F(7 + 0!))) + 7 = 7 + (F(F(0! + 7)) - F(4)!) \times 5$$
$$\mathbf{54708} := 5 \times (-F(4)! + F(F(7 + 0!))) + 8 = 8 + (F(F(0! + 7)) - F(4)!) \times 5$$
$$\mathbf{54709} := 5 \times (-F(4)! + F(F(7 + 0!))) + 9 = 9 + (F(F(0! + 7)) - F(4)!) \times 5$$

$$\mathbf{54770} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 0 = 0 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$
$$\mathbf{54771} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 1 = 1 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$
$$\mathbf{54772} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 2 = 2 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$
$$\mathbf{54773} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 3 = 3 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$
$$\mathbf{54774} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 4 = 4 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$
$$\mathbf{54775} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 5 = 5 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$
$$\mathbf{54776} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 6 = 6 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$
$$\mathbf{54777} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 7 = 7 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$
$$\mathbf{54778} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 8 = 8 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$
$$\mathbf{54779} := 5 \times (F(F(4)!) + F(F(F(-7 + F(7))))) + 9 = 9 + (F(F(F(-7 + F(7)))) + F(F(4)!)) \times 5$$

$$\mathbf{54830} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 0 = 0 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$
$$\mathbf{54831} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 1 = 1 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$
$$\mathbf{54832} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 2 = 2 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$
$$\mathbf{54833} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 3 = 3 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$
$$\mathbf{54834} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 4 = 4 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$

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$$\mathbf{54835} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 5 = 5 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$
$$\mathbf{54836} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 6 = 6 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$
$$\mathbf{54837} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 7 = 7 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$
$$\mathbf{54838} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 8 = 8 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$
$$\mathbf{54839} := 5 \times (-F(F(F(4))) + F(F(8)) + F(F(3!))) + 9 = 9 + (F(F(3!)) + F(F(8)) - F(F(F(4)))) \times 5$$

$$\mathbf{54840} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 0 = 0 + (4! + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54841} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 1 = 1 + (4! + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54842} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 2 = 2 + (4! + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54843} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 3 = 3 + (4! + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54844} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 4 = 4 + (4! + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54845} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 5 = 5 + (4! + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54846} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 6 = 6 + (4! + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54847} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 7 = 7 + (4! + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54848} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 8 = 8 + (4! + F(F(8)) - F(F(4))) \times 5$$
$$\mathbf{54849} := 5 \times (-F(F(4)) + F(F(8)) + 4!) + 9 = 9 + (4! + F(F(8)) - F(F(4))) \times 5$$

$$\mathbf{54850} := 5 \times 4! + F(F(8)) \times 5 + 0 = 0 + 5 \times F(F(8)) + 4! \times 5$$
$$\mathbf{54851} := 5 \times 4! + F(F(8)) \times 5 + 1 = 1 + 5 \times F(F(8)) + 4! \times 5$$
$$\mathbf{54852} := 5 \times 4! + F(F(8)) \times 5 + 2 = 2 + 5 \times F(F(8)) + 4! \times 5$$
$$\mathbf{54853} := 5 \times 4! + F(F(8)) \times 5 + 3 = 3 + 5 \times F(F(8)) + 4! \times 5$$
$$\mathbf{54854} := 5 \times 4! + F(F(8)) \times 5 + 4 = 4 + 5 \times F(F(8)) + 4! \times 5$$
$$\mathbf{54855} := 5 \times 4! + F(F(8)) \times 5 + 5 = 5 + 5 \times F(F(8)) + 4! \times 5$$
$$\mathbf{54856} := 5 \times 4! + F(F(8)) \times 5 + 6 = 6 + 5 \times F(F(8)) + 4! \times 5$$
$$\mathbf{54857} := 5 \times 4! + F(F(8)) \times 5 + 7 = 7 + 5 \times F(F(8)) + 4! \times 5$$
$$\mathbf{54858} := 5 \times 4! + F(F(8)) \times 5 + 8 = 8 + 5 \times F(F(8)) + 4! \times 5$$
$$\mathbf{54859} := 5 \times 4! + F(F(8)) \times 5 + 9 = 9 + 5 \times F(F(8)) + 4! \times 5$$

$$\mathbf{54870} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 0 = 0 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$
$$\mathbf{54871} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 1 = 1 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$
$$\mathbf{54872} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 2 = 2 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$
$$\mathbf{54873} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 3 = 3 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$
$$\mathbf{54874} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 4 = 4 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$
$$\mathbf{54875} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 5 = 5 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$
$$\mathbf{54876} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 6 = 6 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$
$$\mathbf{54877} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 7 = 7 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$
$$\mathbf{54878} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 8 = 8 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$
$$\mathbf{54879} := 5 \times (F(F(F(4)!)) + F(F(8)) + 7) + 9 = 9 + (7 + F(F(8)) + F(F(F(4)!))) \times 5$$

$$\mathbf{54900} := 5 \times (F(F(F(F(4)!))) + F(9)) + 00 = 0 + (F(09) + F(F(F(F(4)!)))) \times 5$$

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$$\mathbf{54901} := 5 \times (F(F(F(F(4)!))) + F(9)) + 01 = 1 + (F(09) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54902} := 5 \times (F(F(F(F(4)!))) + F(9)) + 02 = 2 + (F(09) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54903} := 5 \times (F(F(F(F(4)!))) + F(9)) + 03 = 3 + (F(09) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54904} := 5 \times (F(F(F(F(4)!))) + F(9)) + 04 = 4 + (F(09) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54905} := 5 \times (F(F(F(F(4)!))) + F(9)) + 05 = 5 + (F(09) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54906} := 5 \times (F(F(F(F(4)!))) + F(9)) + 06 = 6 + (F(09) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54907} := 5 \times (F(F(F(F(4)!))) + F(9)) + 07 = 7 + (F(09) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54908} := 5 \times (F(F(F(F(4)!))) + F(9)) + 08 = 8 + (F(09) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54909} := 5 \times (F(F(F(F(4)!))) + F(9)) + 09 = 9 + (F(09) + F(F(F(F(4)!)))) \times 5$$

$$\mathbf{54930} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 0 = 0 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$
$$\mathbf{54931} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 1 = 1 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$
$$\mathbf{54932} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 2 = 2 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$
$$\mathbf{54933} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 3 = 3 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$
$$\mathbf{54934} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 4 = 4 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$
$$\mathbf{54935} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 5 = 5 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$
$$\mathbf{54936} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 6 = 6 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$
$$\mathbf{54937} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 7 = 7 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$
$$\mathbf{54938} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 8 = 8 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$
$$\mathbf{54939} := 5 \times (F(4)! + F(9) + F(F(F(3!)))) + 9 = 9 + (F(F(F(3!))) + F(9) + F(4)!) \times 5$$

$$\mathbf{54940} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 0 = 0 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$
$$\mathbf{54941} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 1 = 1 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$
$$\mathbf{54942} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 2 = 2 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$
$$\mathbf{54943} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 3 = 3 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$
$$\mathbf{54944} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 4 = 4 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$
$$\mathbf{54945} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 5 = 5 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$
$$\mathbf{54946} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 6 = 6 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$
$$\mathbf{54947} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 7 = 7 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$
$$\mathbf{54948} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 8 = 8 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$
$$\mathbf{54949} := 5 \times (F(F(4)!) + F(9) + F(F(F(F(4)!)))) + 9 = 9 + (F(F(F(F(4)!))) + F(9) + F(F(4)!)) \times 5$$

$$\mathbf{55320} := 5 \times (5! + F(F(F(3!))) - 2) + 0 = 0 + (-2 + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55321} := 5 \times (5! + F(F(F(3!))) - 2) + 1 = 1 + (-2 + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55322} := 5 \times (5! + F(F(F(3!))) - 2) + 2 = 2 + (-2 + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55323} := 5 \times (5! + F(F(F(3!))) - 2) + 3 = 3 + (-2 + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55324} := 5 \times (5! + F(F(F(3!))) - 2) + 4 = 4 + (-2 + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55325} := 5 \times (5! + F(F(F(3!))) - 2) + 5 = 5 + (-2 + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55326} := 5 \times (5! + F(F(F(3!))) - 2) + 6 = 6 + (-2 + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55327} := 5 \times (5! + F(F(F(3!))) - 2) + 7 = 7 + (-2 + F(F(F(3!))) + 5!) \times 5$$

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$$\mathbf{55328} := 5 \times (5! + F(F(F(3!))) - 2) + 8 = 8 + (-2 + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55329} := 5 \times (5! + F(F(F(3!))) - 2) + 9 = 9 + (-2 + F(F(F(3!))) + 5!) \times 5$$

$$\mathbf{55330} := 5 \times (5! + F(F(F(3+3)))) + 0 = 0 + (F(F(F(3+3))) + 5!) \times 5$$
$$\mathbf{55331} := 5 \times (5! + F(F(F(3+3)))) + 1 = 1 + (F(F(F(3+3))) + 5!) \times 5$$
$$\mathbf{55332} := 5 \times (5! + F(F(F(3+3)))) + 2 = 2 + (F(F(F(3+3))) + 5!) \times 5$$
$$\mathbf{55333} := 5 \times (5! + F(F(F(3+3)))) + 3 = 3 + (F(F(F(3+3))) + 5!) \times 5$$
$$\mathbf{55334} := 5 \times (5! + F(F(F(3+3)))) + 4 = 4 + (F(F(F(3+3))) + 5!) \times 5$$
$$\mathbf{55335} := 5 \times (5! + F(F(F(3+3)))) + 5 = 5 + (F(F(F(3+3))) + 5!) \times 5$$
$$\mathbf{55336} := 5 \times (5! + F(F(F(3+3)))) + 6 = 6 + (F(F(F(3+3))) + 5!) \times 5$$
$$\mathbf{55337} := 5 \times (5! + F(F(F(3+3)))) + 7 = 7 + (F(F(F(3+3))) + 5!) \times 5$$
$$\mathbf{55338} := 5 \times (5! + F(F(F(3+3)))) + 8 = 8 + (F(F(F(3+3))) + 5!) \times 5$$
$$\mathbf{55339} := 5 \times (5! + F(F(F(3+3)))) + 9 = 9 + (F(F(F(3+3))) + 5!) \times 5$$

$$\mathbf{55340} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 0 = 0 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55341} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 1 = 1 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55342} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 2 = 2 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55343} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 3 = 3 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55344} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 4 = 4 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55345} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 5 = 5 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55346} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 6 = 6 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55347} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 7 = 7 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55348} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 8 = 8 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$
$$\mathbf{55349} := 5 \times (5! + F(F(F(3!))) + F(F(4))) + 9 = 9 + (F(F(4)) + F(F(F(3!))) + 5!) \times 5$$

$$\mathbf{55360} := 5 \times (5! + 3! + F(F(F(6)))) + 0 = 0 + (F(F(F(6))) + 3! + 5!) \times 5$$
$$\mathbf{55361} := 5 \times (5! + 3! + F(F(F(6)))) + 1 = 1 + (F(F(F(6))) + 3! + 5!) \times 5$$
$$\mathbf{55362} := 5 \times (5! + 3! + F(F(F(6)))) + 2 = 2 + (F(F(F(6))) + 3! + 5!) \times 5$$
$$\mathbf{55363} := 5 \times (5! + 3! + F(F(F(6)))) + 3 = 3 + (F(F(F(6))) + 3! + 5!) \times 5$$
$$\mathbf{55364} := 5 \times (5! + 3! + F(F(F(6)))) + 4 = 4 + (F(F(F(6))) + 3! + 5!) \times 5$$
$$\mathbf{55365} := 5 \times (5! + 3! + F(F(F(6)))) + 5 = 5 + (F(F(F(6))) + 3! + 5!) \times 5$$
$$\mathbf{55366} := 5 \times (5! + 3! + F(F(F(6)))) + 6 = 6 + (F(F(F(6))) + 3! + 5!) \times 5$$
$$\mathbf{55367} := 5 \times (5! + 3! + F(F(F(6)))) + 7 = 7 + (F(F(F(6))) + 3! + 5!) \times 5$$
$$\mathbf{55368} := 5 \times (5! + 3! + F(F(F(6)))) + 8 = 8 + (F(F(F(6))) + 3! + 5!) \times 5$$
$$\mathbf{55369} := 5 \times (5! + 3! + F(F(F(6)))) + 9 = 9 + (F(F(F(6))) + 3! + 5!) \times 5$$

$$\mathbf{55440} := 5! \times (5! + F(4)!) + F(F(4)!)! + 0 = 0 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$
$$\mathbf{55441} := 5! \times (5! + F(4)!) + F(F(4)!)! + 1 = 1 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$
$$\mathbf{55442} := 5! \times (5! + F(4)!) + F(F(4)!)! + 2 = 2 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$
$$\mathbf{55443} := 5! \times (5! + F(4)!) + F(F(4)!)! + 3 = 3 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$

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$$\mathbf{55444} := 5! \times (5! + F(4)!) + F(F(4)!)! + 4 = 4 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$
$$\mathbf{55445} := 5! \times (5! + F(4)!) + F(F(4)!)! + 5 = 5 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$
$$\mathbf{55446} := 5! \times (5! + F(4)!) + F(F(4)!)! + 6 = 6 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$
$$\mathbf{55447} := 5! \times (5! + F(4)!) + F(F(4)!)! + 7 = 7 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$
$$\mathbf{55448} := 5! \times (5! + F(4)!) + F(F(4)!)! + 8 = 8 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$
$$\mathbf{55449} := 5! \times (5! + F(4)!) + F(F(4)!)! + 9 = 9 + F(F(4)!)! + (F(4)! + 5!) \times 5!$$

$$\mathbf{55450} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 0 = 0 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$
$$\mathbf{55451} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 1 = 1 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$
$$\mathbf{55452} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 2 = 2 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$
$$\mathbf{55453} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 3 = 3 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$
$$\mathbf{55454} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 4 = 4 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$
$$\mathbf{55455} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 5 = 5 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$
$$\mathbf{55456} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 6 = 6 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$
$$\mathbf{55457} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 7 = 7 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$
$$\mathbf{55458} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 8 = 8 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$
$$\mathbf{55459} := 5! + 5 \times (F(F(F(F(4)!))) + 5!) + 9 = 9 + (5! + F(F(F(F(4)!)))) \times 5 + 5!$$

$$\mathbf{55680} := 5! \times (5! + F(6)) + 8! + 0 = 0 + 8! + (F(6) + 5!) \times 5!$$
$$\mathbf{55681} := 5! \times (5! + F(6)) + 8! + 1 = 1 + 8! + (F(6) + 5!) \times 5!$$
$$\mathbf{55682} := 5! \times (5! + F(6)) + 8! + 2 = 2 + 8! + (F(6) + 5!) \times 5!$$
$$\mathbf{55683} := 5! \times (5! + F(6)) + 8! + 3 = 3 + 8! + (F(6) + 5!) \times 5!$$
$$\mathbf{55684} := 5! \times (5! + F(6)) + 8! + 4 = 4 + 8! + (F(6) + 5!) \times 5!$$
$$\mathbf{55685} := 5! \times (5! + F(6)) + 8! + 5 = 5 + 8! + (F(6) + 5!) \times 5!$$
$$\mathbf{55686} := 5! \times (5! + F(6)) + 8! + 6 = 6 + 8! + (F(6) + 5!) \times 5!$$
$$\mathbf{55687} := 5! \times (5! + F(6)) + 8! + 7 = 7 + 8! + (F(6) + 5!) \times 5!$$
$$\mathbf{55688} := 5! \times (5! + F(6)) + 8! + 8 = 8 + 8! + (F(6) + 5!) \times 5!$$
$$\mathbf{55689} := 5! \times (5! + F(6)) + 8! + 9 = 9 + 8! + (F(6) + 5!) \times 5!$$

$$\mathbf{55920} := (5! + 5!) \times F(F(9-2)) + 0 = 0 + F(F(-2+9)) \times (5! + 5!)$$
$$\mathbf{55921} := (5! + 5!) \times F(F(9-2)) + 1 = 1 + F(F(-2+9)) \times (5! + 5!)$$
$$\mathbf{55922} := (5! + 5!) \times F(F(9-2)) + 2 = 2 + F(F(-2+9)) \times (5! + 5!)$$
$$\mathbf{55923} := (5! + 5!) \times F(F(9-2)) + 3 = 3 + F(F(-2+9)) \times (5! + 5!)$$
$$\mathbf{55924} := (5! + 5!) \times F(F(9-2)) + 4 = 4 + F(F(-2+9)) \times (5! + 5!)$$
$$\mathbf{55925} := (5! + 5!) \times F(F(9-2)) + 5 = 5 + F(F(-2+9)) \times (5! + 5!)$$
$$\mathbf{55926} := (5! + 5!) \times F(F(9-2)) + 6 = 6 + F(F(-2+9)) \times (5! + 5!)$$
$$\mathbf{55927} := (5! + 5!) \times F(F(9-2)) + 7 = 7 + F(F(-2+9)) \times (5! + 5!)$$
$$\mathbf{55928} := (5! + 5!) \times F(F(9-2)) + 8 = 8 + F(F(-2+9)) \times (5! + 5!)$$
$$\mathbf{55929} := (5! + 5!) \times F(F(9-2)) + 9 = 9 + F(F(-2+9)) \times (5! + 5!)$$

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$$\mathbf{56530} := 5 \times (F(F(F(6))) + 5! \times 3) + 0 = 0 + (3 \times 5! + F(F(F(6)))) \times 5$$
$$\mathbf{56531} := 5 \times (F(F(F(6))) + 5! \times 3) + 1 = 1 + (3 \times 5! + F(F(F(6)))) \times 5$$
$$\mathbf{56532} := 5 \times (F(F(F(6))) + 5! \times 3) + 2 = 2 + (3 \times 5! + F(F(F(6)))) \times 5$$
$$\mathbf{56533} := 5 \times (F(F(F(6))) + 5! \times 3) + 3 = 3 + (3 \times 5! + F(F(F(6)))) \times 5$$
$$\mathbf{56534} := 5 \times (F(F(F(6))) + 5! \times 3) + 4 = 4 + (3 \times 5! + F(F(F(6)))) \times 5$$
$$\mathbf{56535} := 5 \times (F(F(F(6))) + 5! \times 3) + 5 = 5 + (3 \times 5! + F(F(F(6)))) \times 5$$
$$\mathbf{56536} := 5 \times (F(F(F(6))) + 5! \times 3) + 6 = 6 + (3 \times 5! + F(F(F(6)))) \times 5$$
$$\mathbf{56537} := 5 \times (F(F(F(6))) + 5! \times 3) + 7 = 7 + (3 \times 5! + F(F(F(6)))) \times 5$$
$$\mathbf{56538} := 5 \times (F(F(F(6))) + 5! \times 3) + 8 = 8 + (3 \times 5! + F(F(F(6)))) \times 5$$
$$\mathbf{56539} := 5 \times (F(F(F(6))) + 5! \times 3) + 9 = 9 + (3 \times 5! + F(F(F(6)))) \times 5$$

$$\mathbf{57480} := 5! \times (-F(F(7)) + F(4)!! - 8) + 0 = 0 + (-8 + F(4)!! - F(F(7))) \times 5!$$
$$\mathbf{57481} := 5! \times (-F(F(7)) + F(4)!! - 8) + 1 = 1 + (-8 + F(4)!! - F(F(7))) \times 5!$$
$$\mathbf{57482} := 5! \times (-F(F(7)) + F(4)!! - 8) + 2 = 2 + (-8 + F(4)!! - F(F(7))) \times 5!$$
$$\mathbf{57483} := 5! \times (-F(F(7)) + F(4)!! - 8) + 3 = 3 + (-8 + F(4)!! - F(F(7))) \times 5!$$
$$\mathbf{57484} := 5! \times (-F(F(7)) + F(4)!! - 8) + 4 = 4 + (-8 + F(4)!! - F(F(7))) \times 5!$$
$$\mathbf{57485} := 5! \times (-F(F(7)) + F(4)!! - 8) + 5 = 5 + (-8 + F(4)!! - F(F(7))) \times 5!$$
$$\mathbf{57486} := 5! \times (-F(F(7)) + F(4)!! - 8) + 6 = 6 + (-8 + F(4)!! - F(F(7))) \times 5!$$
$$\mathbf{57487} := 5! \times (-F(F(7)) + F(4)!! - 8) + 7 = 7 + (-8 + F(4)!! - F(F(7))) \times 5!$$
$$\mathbf{57488} := 5! \times (-F(F(7)) + F(4)!! - 8) + 8 = 8 + (-8 + F(4)!! - F(F(7))) \times 5!$$
$$\mathbf{57489} := 5! \times (-F(F(7)) + F(4)!! - 8) + 9 = 9 + (-8 + F(4)!! - F(F(7))) \times 5!$$

$$\mathbf{57840} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 0 = 0 + F(F(4)) \times (8 + F(F(7))) \times 5!$$
$$\mathbf{57841} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 1 = 1 + F(F(4)) \times (8 + F(F(7))) \times 5!$$
$$\mathbf{57842} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 2 = 2 + F(F(4)) \times (8 + F(F(7))) \times 5!$$
$$\mathbf{57843} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 3 = 3 + F(F(4)) \times (8 + F(F(7))) \times 5!$$
$$\mathbf{57844} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 4 = 4 + F(F(4)) \times (8 + F(F(7))) \times 5!$$
$$\mathbf{57845} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 5 = 5 + F(F(4)) \times (8 + F(F(7))) \times 5!$$
$$\mathbf{57846} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 6 = 6 + F(F(4)) \times (8 + F(F(7))) \times 5!$$
$$\mathbf{57847} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 7 = 7 + F(F(4)) \times (8 + F(F(7))) \times 5!$$
$$\mathbf{57848} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 8 = 8 + F(F(4)) \times (8 + F(F(7))) \times 5!$$
$$\mathbf{57849} := 5! \times (F(F(7)) + 8) \times F(F(4)) + 9 = 9 + F(F(4)) \times (8 + F(F(7))) \times 5!$$

$$\mathbf{58320} := 5 \times (F(F(8)) + 3!! - 2) + 0 = 0 + (-2 + 3!! + F(F(8))) \times 5$$
$$\mathbf{58321} := 5 \times (F(F(8)) + 3!! - 2) + 1 = 1 + (-2 + 3!! + F(F(8))) \times 5$$
$$\mathbf{58322} := 5 \times (F(F(8)) + 3!! - 2) + 2 = 2 + (-2 + 3!! + F(F(8))) \times 5$$
$$\mathbf{58323} := 5 \times (F(F(8)) + 3!! - 2) + 3 = 3 + (-2 + 3!! + F(F(8))) \times 5$$
$$\mathbf{58324} := 5 \times (F(F(8)) + 3!! - 2) + 4 = 4 + (-2 + 3!! + F(F(8))) \times 5$$
$$\mathbf{58325} := 5 \times (F(F(8)) + 3!! - 2) + 5 = 5 + (-2 + 3!! + F(F(8))) \times 5$$
$$\mathbf{58326} := 5 \times (F(F(8)) + 3!! - 2) + 6 = 6 + (-2 + 3!! + F(F(8))) \times 5$$

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$$\mathbf{58327} := 5 \times (F(F(8)) + 3!! - 2) + 7 = 7 + (-2 + 3!! + F(F(8))) \times 5$$
$$\mathbf{58328} := 5 \times (F(F(8)) + 3!! - 2) + 8 = 8 + (-2 + 3!! + F(F(8))) \times 5$$
$$\mathbf{58329} := 5 \times (F(F(8)) + 3!! - 2) + 9 = 9 + (-2 + 3!! + F(F(8))) \times 5$$

$$\mathbf{58330} := 5 \times (F(F(8)) + (3+3)!) + 0 = 0 + ((3+3)! + F(F(8))) \times 5$$
$$\mathbf{58331} := 5 \times (F(F(8)) + (3+3)!) + 1 = 1 + ((3+3)! + F(F(8))) \times 5$$
$$\mathbf{58332} := 5 \times (F(F(8)) + (3+3)!) + 2 = 2 + ((3+3)! + F(F(8))) \times 5$$
$$\mathbf{58333} := 5 \times (F(F(8)) + (3+3)!) + 3 = 3 + ((3+3)! + F(F(8))) \times 5$$
$$\mathbf{58334} := 5 \times (F(F(8)) + (3+3)!) + 4 = 4 + ((3+3)! + F(F(8))) \times 5$$
$$\mathbf{58335} := 5 \times (F(F(8)) + (3+3)!) + 5 = 5 + ((3+3)! + F(F(8))) \times 5$$
$$\mathbf{58336} := 5 \times (F(F(8)) + (3+3)!) + 6 = 6 + ((3+3)! + F(F(8))) \times 5$$
$$\mathbf{58337} := 5 \times (F(F(8)) + (3+3)!) + 7 = 7 + ((3+3)! + F(F(8))) \times 5$$
$$\mathbf{58338} := 5 \times (F(F(8)) + (3+3)!) + 8 = 8 + ((3+3)! + F(F(8))) \times 5$$
$$\mathbf{58339} := 5 \times (F(F(8)) + (3+3)!) + 9 = 9 + ((3+3)! + F(F(8))) \times 5$$

$$\mathbf{58340} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 0 = 0 + (F(F(4)) + 3!! + F(F(8))) \times 5$$
$$\mathbf{58341} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 1 = 1 + (F(F(4)) + 3!! + F(F(8))) \times 5$$
$$\mathbf{58342} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 2 = 2 + (F(F(4)) + 3!! + F(F(8))) \times 5$$
$$\mathbf{58343} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 3 = 3 + (F(F(4)) + 3!! + F(F(8))) \times 5$$
$$\mathbf{58344} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 4 = 4 + (F(F(4)) + 3!! + F(F(8))) \times 5$$
$$\mathbf{58345} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 5 = 5 + (F(F(4)) + 3!! + F(F(8))) \times 5$$
$$\mathbf{58346} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 6 = 6 + (F(F(4)) + 3!! + F(F(8))) \times 5$$
$$\mathbf{58347} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 7 = 7 + (F(F(4)) + 3!! + F(F(8))) \times 5$$
$$\mathbf{58348} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 8 = 8 + (F(F(4)) + 3!! + F(F(8))) \times 5$$
$$\mathbf{58349} := 5 \times (+F(F(8)) + 3!! + F(F(4))) + 9 = 9 + (F(F(4)) + 3!! + F(F(8))) \times 5$$

$$\mathbf{58360} := 5 \times (F(F(8)) + 3! + 6!) + 0 = 0 + (6! + 3! + F(F(8))) \times 5$$
$$\mathbf{58361} := 5 \times (F(F(8)) + 3! + 6!) + 1 = 1 + (6! + 3! + F(F(8))) \times 5$$
$$\mathbf{58362} := 5 \times (F(F(8)) + 3! + 6!) + 2 = 2 + (6! + 3! + F(F(8))) \times 5$$
$$\mathbf{58363} := 5 \times (F(F(8)) + 3! + 6!) + 3 = 3 + (6! + 3! + F(F(8))) \times 5$$
$$\mathbf{58364} := 5 \times (F(F(8)) + 3! + 6!) + 4 = 4 + (6! + 3! + F(F(8))) \times 5$$
$$\mathbf{58365} := 5 \times (F(F(8)) + 3! + 6!) + 5 = 5 + (6! + 3! + F(F(8))) \times 5$$
$$\mathbf{58366} := 5 \times (F(F(8)) + 3! + 6!) + 6 = 6 + (6! + 3! + F(F(8))) \times 5$$
$$\mathbf{58367} := 5 \times (F(F(8)) + 3! + 6!) + 7 = 7 + (6! + 3! + F(F(8))) \times 5$$
$$\mathbf{58368} := 5 \times (F(F(8)) + 3! + 6!) + 8 = 8 + (6! + 3! + F(F(8))) \times 5$$
$$\mathbf{58369} := 5 \times (F(F(8)) + 3! + 6!) + 9 = 9 + (6! + 3! + F(F(8))) \times 5$$

$$\mathbf{58440} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 0 = 0 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$
$$\mathbf{58441} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 1 = 1 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$
$$\mathbf{58442} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 2 = 2 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$

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$$\mathbf{58443} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 3 = 3 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$
$$\mathbf{58444} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 4 = 4 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$
$$\mathbf{58445} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 5 = 5 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$
$$\mathbf{58446} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 6 = 6 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$
$$\mathbf{58447} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 7 = 7 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$
$$\mathbf{58448} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 8 = 8 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$
$$\mathbf{58449} := 5! \times (-F(F(8) - F(F(4)!)) + F(4)!!) + 9 = 9 + (F(4)!! - F(-F(F(4)!) + F(8))) \times 5!$$

$$\mathbf{58450} := 5 \times (F(F(8)) + F(4)!!) + 5! + 0 = 0 + 5! + (F(4)!! + F(F(8))) \times 5$$
$$\mathbf{58451} := 5 \times (F(F(8)) + F(4)!!) + 5! + 1 = 1 + 5! + (F(4)!! + F(F(8))) \times 5$$
$$\mathbf{58452} := 5 \times (F(F(8)) + F(4)!!) + 5! + 2 = 2 + 5! + (F(4)!! + F(F(8))) \times 5$$
$$\mathbf{58453} := 5 \times (F(F(8)) + F(4)!!) + 5! + 3 = 3 + 5! + (F(4)!! + F(F(8))) \times 5$$
$$\mathbf{58454} := 5 \times (F(F(8)) + F(4)!!) + 5! + 4 = 4 + 5! + (F(4)!! + F(F(8))) \times 5$$
$$\mathbf{58455} := 5 \times (F(F(8)) + F(4)!!) + 5! + 5 = 5 + 5! + (F(4)!! + F(F(8))) \times 5$$
$$\mathbf{58456} := 5 \times (F(F(8)) + F(4)!!) + 5! + 6 = 6 + 5! + (F(4)!! + F(F(8))) \times 5$$
$$\mathbf{58457} := 5 \times (F(F(8)) + F(4)!!) + 5! + 7 = 7 + 5! + (F(4)!! + F(F(8))) \times 5$$
$$\mathbf{58458} := 5 \times (F(F(8)) + F(4)!!) + 5! + 8 = 8 + 5! + (F(4)!! + F(F(8))) \times 5$$
$$\mathbf{58459} := 5 \times (F(F(8)) + F(4)!!) + 5! + 9 = 9 + 5! + (F(4)!! + F(F(8))) \times 5$$

$$\mathbf{59770} := 5 \times (F(F(9) - F(7))) + 7! + 0 = 0 + 7! + (F(-F(7) + F(9))) \times 5$$
$$\mathbf{59771} := 5 \times (F(F(9) - F(7))) + 7! + 1 = 1 + 7! + (F(-F(7) + F(9))) \times 5$$
$$\mathbf{59772} := 5 \times (F(F(9) - F(7))) + 7! + 2 = 2 + 7! + (F(-F(7) + F(9))) \times 5$$
$$\mathbf{59773} := 5 \times (F(F(9) - F(7))) + 7! + 3 = 3 + 7! + (F(-F(7) + F(9))) \times 5$$
$$\mathbf{59774} := 5 \times (F(F(9) - F(7))) + 7! + 4 = 4 + 7! + (F(-F(7) + F(9))) \times 5$$
$$\mathbf{59775} := 5 \times (F(F(9) - F(7))) + 7! + 5 = 5 + 7! + (F(-F(7) + F(9))) \times 5$$
$$\mathbf{59776} := 5 \times (F(F(9) - F(7))) + 7! + 6 = 6 + 7! + (F(-F(7) + F(9))) \times 5$$
$$\mathbf{59777} := 5 \times (F(F(9) - F(7))) + 7! + 7 = 7 + 7! + (F(-F(7) + F(9))) \times 5$$
$$\mathbf{59778} := 5 \times (F(F(9) - F(7))) + 7! + 8 = 8 + 7! + (F(-F(7) + F(9))) \times 5$$
$$\mathbf{59779} := 5 \times (F(F(9) - F(7))) + 7! + 9 = 9 + 7! + (F(-F(7) + F(9))) \times 5$$

$$\mathbf{60480} := 6! \times 04 \times F(8) + 0 = 0 + F(8) \times 4 \times 06!$$
$$\mathbf{60481} := 6! \times 04 \times F(8) + 1 = 1 + F(8) \times 4 \times 06!$$
$$\mathbf{60482} := 6! \times 04 \times F(8) + 2 = 2 + F(8) \times 4 \times 06!$$
$$\mathbf{60483} := 6! \times 04 \times F(8) + 3 = 3 + F(8) \times 4 \times 06!$$
$$\mathbf{60484} := 6! \times 04 \times F(8) + 4 = 4 + F(8) \times 4 \times 06!$$
$$\mathbf{60485} := 6! \times 04 \times F(8) + 5 = 5 + F(8) \times 4 \times 06!$$
$$\mathbf{60486} := 6! \times 04 \times F(8) + 6 = 6 + F(8) \times 4 \times 06!$$
$$\mathbf{60487} := 6! \times 04 \times F(8) + 7 = 7 + F(8) \times 4 \times 06!$$
$$\mathbf{60488} := 6! \times 04 \times F(8) + 8 = 8 + F(8) \times 4 \times 06!$$
$$\mathbf{60489} := 6! \times 04 \times F(8) + 9 = 9 + F(8) \times 4 \times 06!$$

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$$\mathbf{62640} := 6! \times (-2 + F(F(6) + F(4))) + 0 = 0 + (F(F(4) + F(6)) - 2) \times 6!$$
$$\mathbf{62641} := 6! \times (-2 + F(F(6) + F(4))) + 1 = 1 + (F(F(4) + F(6)) - 2) \times 6!$$
$$\mathbf{62642} := 6! \times (-2 + F(F(6) + F(4))) + 2 = 2 + (F(F(4) + F(6)) - 2) \times 6!$$
$$\mathbf{62643} := 6! \times (-2 + F(F(6) + F(4))) + 3 = 3 + (F(F(4) + F(6)) - 2) \times 6!$$
$$\mathbf{62644} := 6! \times (-2 + F(F(6) + F(4))) + 4 = 4 + (F(F(4) + F(6)) - 2) \times 6!$$
$$\mathbf{62645} := 6! \times (-2 + F(F(6) + F(4))) + 5 = 5 + (F(F(4) + F(6)) - 2) \times 6!$$
$$\mathbf{62646} := 6! \times (-2 + F(F(6) + F(4))) + 6 = 6 + (F(F(4) + F(6)) - 2) \times 6!$$
$$\mathbf{62647} := 6! \times (-2 + F(F(6) + F(4))) + 7 = 7 + (F(F(4) + F(6)) - 2) \times 6!$$
$$\mathbf{62648} := 6! \times (-2 + F(F(6) + F(4))) + 8 = 8 + (F(F(4) + F(6)) - 2) \times 6!$$
$$\mathbf{62649} := 6! \times (-2 + F(F(6) + F(4))) + 9 = 9 + (F(F(4) + F(6)) - 2) \times 6!$$

$$\mathbf{63360} := (F(6) + 3) \times F(3!) \times 6! + 0 = 0 + 6! \times F(3!) \times (3 + F(6))$$
$$\mathbf{63361} := (F(6) + 3) \times F(3!) \times 6! + 1 = 1 + 6! \times F(3!) \times (3 + F(6))$$
$$\mathbf{63362} := (F(6) + 3) \times F(3!) \times 6! + 2 = 2 + 6! \times F(3!) \times (3 + F(6))$$
$$\mathbf{63363} := (F(6) + 3) \times F(3!) \times 6! + 3 = 3 + 6! \times F(3!) \times (3 + F(6))$$
$$\mathbf{63364} := (F(6) + 3) \times F(3!) \times 6! + 4 = 4 + 6! \times F(3!) \times (3 + F(6))$$
$$\mathbf{63365} := (F(6) + 3) \times F(3!) \times 6! + 5 = 5 + 6! \times F(3!) \times (3 + F(6))$$
$$\mathbf{63366} := (F(6) + 3) \times F(3!) \times 6! + 6 = 6 + 6! \times F(3!) \times (3 + F(6))$$
$$\mathbf{63367} := (F(6) + 3) \times F(3!) \times 6! + 7 = 7 + 6! \times F(3!) \times (3 + F(6))$$
$$\mathbf{63368} := (F(6) + 3) \times F(3!) \times 6! + 8 = 8 + 6! \times F(3!) \times (3 + F(6))$$
$$\mathbf{63369} := (F(6) + 3) \times F(3!) \times 6! + 9 = 9 + 6! \times F(3!) \times (3 + F(6))$$

$$\mathbf{64080} := 6! \times F(F(4) + 08) + 0 = 0 + F(8 + F(04)) \times 6!$$
$$\mathbf{64081} := 6! \times F(F(4) + 08) + 1 = 1 + F(8 + F(04)) \times 6!$$
$$\mathbf{64082} := 6! \times F(F(4) + 08) + 2 = 2 + F(8 + F(04)) \times 6!$$
$$\mathbf{64083} := 6! \times F(F(4) + 08) + 3 = 3 + F(8 + F(04)) \times 6!$$
$$\mathbf{64084} := 6! \times F(F(4) + 08) + 4 = 4 + F(8 + F(04)) \times 6!$$
$$\mathbf{64085} := 6! \times F(F(4) + 08) + 5 = 5 + F(8 + F(04)) \times 6!$$
$$\mathbf{64086} := 6! \times F(F(4) + 08) + 6 = 6 + F(8 + F(04)) \times 6!$$
$$\mathbf{64087} := 6! \times F(F(4) + 08) + 7 = 7 + F(8 + F(04)) \times 6!$$
$$\mathbf{64088} := 6! \times F(F(4) + 08) + 8 = 8 + F(8 + F(04)) \times 6!$$
$$\mathbf{64089} := 6! \times F(F(4) + 08) + 9 = 9 + F(8 + F(04)) \times 6!$$

$$\mathbf{64800} := 6! \times (F(F(4) + 8) + 0!) + 0 = 0 + (0! + F(8 + F(4))) \times 6!$$
$$\mathbf{64801} := 6! \times (F(F(4) + 8) + 0!) + 1 = 1 + (0! + F(8 + F(4))) \times 6!$$
$$\mathbf{64802} := 6! \times (F(F(4) + 8) + 0!) + 2 = 2 + (0! + F(8 + F(4))) \times 6!$$
$$\mathbf{64803} := 6! \times (F(F(4) + 8) + 0!) + 3 = 3 + (0! + F(8 + F(4))) \times 6!$$
$$\mathbf{64804} := 6! \times (F(F(4) + 8) + 0!) + 4 = 4 + (0! + F(8 + F(4))) \times 6!$$
$$\mathbf{64805} := 6! \times (F(F(4) + 8) + 0!) + 5 = 5 + (0! + F(8 + F(4))) \times 6!$$

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$$\mathbf{64806} := 6! \times (F(F(4)+8)+0!)+6 = 6+(0!+F(8+F(4))) \times 6!$$
$$\mathbf{64807} := 6! \times (F(F(4)+8)+0!)+7 = 7+(0!+F(8+F(4))) \times 6!$$
$$\mathbf{64808} := 6! \times (F(F(4)+8)+0!)+8 = 8+(0!+F(8+F(4))) \times 6!$$
$$\mathbf{64809} := 6! \times (F(F(4)+8)+0!)+9 = 9+(0!+F(8+F(4))) \times 6!$$

$$\mathbf{64830} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+0 = 0-(F(F(3!))-F(F(8))) \times F(4)!-6!$$
$$\mathbf{64831} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+1 = 1-(F(F(3!))-F(F(8))) \times F(4)!-6!$$
$$\mathbf{64832} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+2 = 2-(F(F(3!))-F(F(8))) \times F(4)!-6!$$
$$\mathbf{64833} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+3 = 3-(F(F(3!))-F(F(8))) \times F(4)!-6!$$
$$\mathbf{64834} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+4 = 4-(F(F(3!))-F(F(8))) \times F(4)!-6!$$
$$\mathbf{64835} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+5 = 5-(F(F(3!))-F(F(8))) \times F(4)!-6!$$
$$\mathbf{64836} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+6 = 6-(F(F(3!))-F(F(8))) \times F(4)!-6!$$
$$\mathbf{64837} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+7 = 7-(F(F(3!))-F(F(8))) \times F(4)!-6!$$
$$\mathbf{64838} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+8 = 8-(F(F(3!))-F(F(8))) \times F(4)!-6!$$
$$\mathbf{64839} := -6!-F(4)! \times (-F(F(8))+F(F(3!)))+9 = 9-(F(F(3!))-F(F(8))) \times F(4)!-6!$$

$$\mathbf{65520} := (F(6)+5) \times (5+2)!+0 = 0+(2+5)! \times (5+F(6))$$
$$\mathbf{65521} := (F(6)+5) \times (5+2)!+1 = 1+(2+5)! \times (5+F(6))$$
$$\mathbf{65522} := (F(6)+5) \times (5+2)!+2 = 2+(2+5)! \times (5+F(6))$$
$$\mathbf{65523} := (F(6)+5) \times (5+2)!+3 = 3+(2+5)! \times (5+F(6))$$
$$\mathbf{65524} := (F(6)+5) \times (5+2)!+4 = 4+(2+5)! \times (5+F(6))$$
$$\mathbf{65525} := (F(6)+5) \times (5+2)!+5 = 5+(2+5)! \times (5+F(6))$$
$$\mathbf{65526} := (F(6)+5) \times (5+2)!+6 = 6+(2+5)! \times (5+F(6))$$
$$\mathbf{65527} := (F(6)+5) \times (5+2)!+7 = 7+(2+5)! \times (5+F(6))$$
$$\mathbf{65528} := (F(6)+5) \times (5+2)!+8 = 8+(2+5)! \times (5+F(6))$$
$$\mathbf{65529} := (F(6)+5) \times (5+2)!+9 = 9+(2+5)! \times (5+F(6))$$

$$\mathbf{65760} := F(6)!-5! \times (-F(F(7))+F(F(6)))+0 = 0-(F(F(6))-F(F(7))) \times 5!+F(6)!$$
$$\mathbf{65761} := F(6)!-5! \times (-F(F(7))+F(F(6)))+1 = 1-(F(F(6))-F(F(7))) \times 5!+F(6)!$$
$$\mathbf{65762} := F(6)!-5! \times (-F(F(7))+F(F(6)))+2 = 2-(F(F(6))-F(F(7))) \times 5!+F(6)!$$
$$\mathbf{65763} := F(6)!-5! \times (-F(F(7))+F(F(6)))+3 = 3-(F(F(6))-F(F(7))) \times 5!+F(6)!$$
$$\mathbf{65764} := F(6)!-5! \times (-F(F(7))+F(F(6)))+4 = 4-(F(F(6))-F(F(7))) \times 5!+F(6)!$$
$$\mathbf{65765} := F(6)!-5! \times (-F(F(7))+F(F(6)))+5 = 5-(F(F(6))-F(F(7))) \times 5!+F(6)!$$
$$\mathbf{65766} := F(6)!-5! \times (-F(F(7))+F(F(6)))+6 = 6-(F(F(6))-F(F(7))) \times 5!+F(6)!$$
$$\mathbf{65767} := F(6)!-5! \times (-F(F(7))+F(F(6)))+7 = 7-(F(F(6))-F(F(7))) \times 5!+F(6)!$$
$$\mathbf{65768} := F(6)!-5! \times (-F(F(7))+F(F(6)))+8 = 8-(F(F(6))-F(F(7))) \times 5!+F(6)!$$
$$\mathbf{65769} := F(6)!-5! \times (-F(F(7))+F(F(6)))+9 = 9-(F(F(6))-F(F(7))) \times 5!+F(6)!$$

$$\mathbf{66360} := 6!+6 \times (-3!+F(F(F(6))))+0 = 0+(F(F(F(6)))-3!) \times 6+6!$$
$$\mathbf{66361} := 6!+6 \times (-3!+F(F(F(6))))+1 = 1+(F(F(F(6)))-3!) \times 6+6!$$

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$$\mathbf{66362} := 6! + 6 \times (-3! + F(F(F(6)))) + 2 = 2 + (F(F(F(6))) - 3!) \times 6 + 6!$$
$$\mathbf{66363} := 6! + 6 \times (-3! + F(F(F(6)))) + 3 = 3 + (F(F(F(6))) - 3!) \times 6 + 6!$$
$$\mathbf{66364} := 6! + 6 \times (-3! + F(F(F(6)))) + 4 = 4 + (F(F(F(6))) - 3!) \times 6 + 6!$$
$$\mathbf{66365} := 6! + 6 \times (-3! + F(F(F(6)))) + 5 = 5 + (F(F(F(6))) - 3!) \times 6 + 6!$$
$$\mathbf{66366} := 6! + 6 \times (-3! + F(F(F(6)))) + 6 = 6 + (F(F(F(6))) - 3!) \times 6 + 6!$$
$$\mathbf{66367} := 6! + 6 \times (-3! + F(F(F(6)))) + 7 = 7 + (F(F(F(6))) - 3!) \times 6 + 6!$$
$$\mathbf{66368} := 6! + 6 \times (-3! + F(F(F(6)))) + 8 = 8 + (F(F(F(6))) - 3!) \times 6 + 6!$$
$$\mathbf{66369} := 6! + 6 \times (-3! + F(F(F(6)))) + 9 = 9 + (F(F(F(6))) - 3!) \times 6 + 6!$$

$$\mathbf{66390} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 0 = 0 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$
$$\mathbf{66391} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 1 = 1 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$
$$\mathbf{66392} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 2 = 2 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$
$$\mathbf{66393} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 3 = 3 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$
$$\mathbf{66394} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 4 = 4 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$
$$\mathbf{66395} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 5 = 5 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$
$$\mathbf{66396} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 6 = 6 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$
$$\mathbf{66397} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 7 = 7 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$
$$\mathbf{66398} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 8 = 8 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$
$$\mathbf{66399} := 6 \times F(F(F(6))) + F(F(3!)) \times F(9) + 9 = 9 + F(9) \times F(F(3!)) + F(F(F(6))) \times 6$$

$$\mathbf{66540} := 6 \times (F(F(F(6))) + 5! + 4!) + 0 = 0 + (4! + 5! + F(F(F(6)))) \times 6$$
$$\mathbf{66541} := 6 \times (F(F(F(6))) + 5! + 4!) + 1 = 1 + (4! + 5! + F(F(F(6)))) \times 6$$
$$\mathbf{66542} := 6 \times (F(F(F(6))) + 5! + 4!) + 2 = 2 + (4! + 5! + F(F(F(6)))) \times 6$$
$$\mathbf{66543} := 6 \times (F(F(F(6))) + 5! + 4!) + 3 = 3 + (4! + 5! + F(F(F(6)))) \times 6$$
$$\mathbf{66544} := 6 \times (F(F(F(6))) + 5! + 4!) + 4 = 4 + (4! + 5! + F(F(F(6)))) \times 6$$
$$\mathbf{66545} := 6 \times (F(F(F(6))) + 5! + 4!) + 5 = 5 + (4! + 5! + F(F(F(6)))) \times 6$$
$$\mathbf{66546} := 6 \times (F(F(F(6))) + 5! + 4!) + 6 = 6 + (4! + 5! + F(F(F(6)))) \times 6$$
$$\mathbf{66547} := 6 \times (F(F(F(6))) + 5! + 4!) + 7 = 7 + (4! + 5! + F(F(F(6)))) \times 6$$
$$\mathbf{66548} := 6 \times (F(F(F(6))) + 5! + 4!) + 8 = 8 + (4! + 5! + F(F(F(6)))) \times 6$$
$$\mathbf{66549} := 6 \times (F(F(F(6))) + 5! + 4!) + 9 = 9 + (4! + 5! + F(F(F(6)))) \times 6$$

$$\mathbf{66960} := 6! \times (F(6) \times 9 + F(F(6))) + 0 = 0 + (F(F(6)) + 9 \times F(6)) \times 6!$$
$$\mathbf{66961} := 6! \times (F(6) \times 9 + F(F(6))) + 1 = 1 + (F(F(6)) + 9 \times F(6)) \times 6!$$
$$\mathbf{66962} := 6! \times (F(6) \times 9 + F(F(6))) + 2 = 2 + (F(F(6)) + 9 \times F(6)) \times 6!$$
$$\mathbf{66963} := 6! \times (F(6) \times 9 + F(F(6))) + 3 = 3 + (F(F(6)) + 9 \times F(6)) \times 6!$$
$$\mathbf{66964} := 6! \times (F(6) \times 9 + F(F(6))) + 4 = 4 + (F(F(6)) + 9 \times F(6)) \times 6!$$
$$\mathbf{66965} := 6! \times (F(6) \times 9 + F(F(6))) + 5 = 5 + (F(F(6)) + 9 \times F(6)) \times 6!$$
$$\mathbf{66966} := 6! \times (F(6) \times 9 + F(F(6))) + 6 = 6 + (F(F(6)) + 9 \times F(6)) \times 6!$$
$$\mathbf{66967} := 6! \times (F(6) \times 9 + F(F(6))) + 7 = 7 + (F(F(6)) + 9 \times F(6)) \times 6!$$
$$\mathbf{66968} := 6! \times (F(6) \times 9 + F(F(6))) + 8 = 8 + (F(F(6)) + 9 \times F(6)) \times 6!$$

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$$\mathbf{66969} := 6! \times (F(6) \times 9 + F(F(6))) + 9 = 9 + (F(F(6)) + 9 \times F(6)) \times 6!$$

$$\mathbf{67080} := 6 \times (F(F(7)) + 0! + F(F(8))) + 0 = 0 + (F(F(8)) + 0! + F(F(7))) \times 6$$
$$\mathbf{67081} := 6 \times (F(F(7)) + 0! + F(F(8))) + 1 = 1 + (F(F(8)) + 0! + F(F(7))) \times 6$$
$$\mathbf{67082} := 6 \times (F(F(7)) + 0! + F(F(8))) + 2 = 2 + (F(F(8)) + 0! + F(F(7))) \times 6$$
$$\mathbf{67083} := 6 \times (F(F(7)) + 0! + F(F(8))) + 3 = 3 + (F(F(8)) + 0! + F(F(7))) \times 6$$
$$\mathbf{67084} := 6 \times (F(F(7)) + 0! + F(F(8))) + 4 = 4 + (F(F(8)) + 0! + F(F(7))) \times 6$$
$$\mathbf{67085} := 6 \times (F(F(7)) + 0! + F(F(8))) + 5 = 5 + (F(F(8)) + 0! + F(F(7))) \times 6$$
$$\mathbf{67086} := 6 \times (F(F(7)) + 0! + F(F(8))) + 6 = 6 + (F(F(8)) + 0! + F(F(7))) \times 6$$
$$\mathbf{67087} := 6 \times (F(F(7)) + 0! + F(F(8))) + 7 = 7 + (F(F(8)) + 0! + F(F(7))) \times 6$$
$$\mathbf{67088} := 6 \times (F(F(7)) + 0! + F(F(8))) + 8 = 8 + (F(F(8)) + 0! + F(F(7))) \times 6$$
$$\mathbf{67089} := 6 \times (F(F(7)) + 0! + F(F(8))) + 9 = 9 + (F(F(8)) + 0! + F(F(7))) \times 6$$

$$\mathbf{67560} := F(6)! + F(F(7)) \times 5! - 6! + 0 = 0 - 6! + 5! \times F(F(7)) + F(6)!$$
$$\mathbf{67561} := F(6)! + F(F(7)) \times 5! - 6! + 1 = 1 - 6! + 5! \times F(F(7)) + F(6)!$$
$$\mathbf{67562} := F(6)! + F(F(7)) \times 5! - 6! + 2 = 2 - 6! + 5! \times F(F(7)) + F(6)!$$
$$\mathbf{67563} := F(6)! + F(F(7)) \times 5! - 6! + 3 = 3 - 6! + 5! \times F(F(7)) + F(6)!$$
$$\mathbf{67564} := F(6)! + F(F(7)) \times 5! - 6! + 4 = 4 - 6! + 5! \times F(F(7)) + F(6)!$$
$$\mathbf{67565} := F(6)! + F(F(7)) \times 5! - 6! + 5 = 5 - 6! + 5! \times F(F(7)) + F(6)!$$
$$\mathbf{67566} := F(6)! + F(F(7)) \times 5! - 6! + 6 = 6 - 6! + 5! \times F(F(7)) + F(6)!$$
$$\mathbf{67567} := F(6)! + F(F(7)) \times 5! - 6! + 7 = 7 - 6! + 5! \times F(F(7)) + F(6)!$$
$$\mathbf{67568} := F(6)! + F(F(7)) \times 5! - 6! + 8 = 8 - 6! + 5! \times F(F(7)) + F(6)!$$
$$\mathbf{67569} := F(6)! + F(F(7)) \times 5! - 6! + 9 = 9 - 6! + 5! \times F(F(7)) + F(6)!$$

$$\mathbf{68260} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 0 = 0 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$
$$\mathbf{68261} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 1 = 1 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$
$$\mathbf{68262} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 2 = 2 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$
$$\mathbf{68263} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 3 = 3 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$
$$\mathbf{68264} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 4 = 4 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$
$$\mathbf{68265} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 5 = 5 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$
$$\mathbf{68266} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 6 = 6 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$
$$\mathbf{68267} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 7 = 7 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$
$$\mathbf{68268} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 8 = 8 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$
$$\mathbf{68269} := F(F(F(6))) + F(F(8)) + F((-2+6)!) + 9 = 9 + F((6-2)!) + F(F(8)) + F(F(F(6)))$$

$$\mathbf{69140} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 0 = 0 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$
$$\mathbf{69141} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 1 = 1 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$
$$\mathbf{69142} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 2 = 2 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$
$$\mathbf{69143} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 3 = 3 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$
$$\mathbf{69144} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 4 = 4 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$

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$$\mathbf{69145} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 5 = 5 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$
$$\mathbf{69146} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 6 = 6 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$
$$\mathbf{69147} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 7 = 7 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$
$$\mathbf{69148} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 8 = 8 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$
$$\mathbf{69149} := F(F(F(6))) \times (9+1) - F(F(4)!)! + 9 = 9 - F(F(4)!)! + (1+9) \times F(F(F(6)))$$

$$\mathbf{69540} := F(6+9) \times (5! - F(4)!) + 0 = 0 - (F(4)! - 5!) \times F(9+6)$$
$$\mathbf{69541} := F(6+9) \times (5! - F(4)!) + 1 = 1 - (F(4)! - 5!) \times F(9+6)$$
$$\mathbf{69542} := F(6+9) \times (5! - F(4)!) + 2 = 2 - (F(4)! - 5!) \times F(9+6)$$
$$\mathbf{69543} := F(6+9) \times (5! - F(4)!) + 3 = 3 - (F(4)! - 5!) \times F(9+6)$$
$$\mathbf{69544} := F(6+9) \times (5! - F(4)!) + 4 = 4 - (F(4)! - 5!) \times F(9+6)$$
$$\mathbf{69545} := F(6+9) \times (5! - F(4)!) + 5 = 5 - (F(4)! - 5!) \times F(9+6)$$
$$\mathbf{69546} := F(6+9) \times (5! - F(4)!) + 6 = 6 - (F(4)! - 5!) \times F(9+6)$$
$$\mathbf{69547} := F(6+9) \times (5! - F(4)!) + 7 = 7 - (F(4)! - 5!) \times F(9+6)$$
$$\mathbf{69548} := F(6+9) \times (5! - F(4)!) + 8 = 8 - (F(4)! - 5!) \times F(9+6)$$
$$\mathbf{69549} := F(6+9) \times (5! - F(4)!) + 9 = 9 - (F(4)! - 5!) \times F(9+6)$$

$$\mathbf{69660} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 0 = 0 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$
$$\mathbf{69661} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 1 = 1 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$
$$\mathbf{69662} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 2 = 2 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$
$$\mathbf{69663} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 3 = 3 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$
$$\mathbf{69664} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 4 = 4 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$
$$\mathbf{69665} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 5 = 5 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$
$$\mathbf{69666} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 6 = 6 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$
$$\mathbf{69667} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 7 = 7 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$
$$\mathbf{69668} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 8 = 8 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$
$$\mathbf{69669} := F(6)! - F(9) + F(6)! - F(F(F(6))) + 9 = 9 - F(F(F(6))) + F(6)! - F(9) + F(6)!$$

$$\mathbf{69840} := 6! \times (F(9) + F(8) \times F(4)) + 0 = 0 + (F(4) \times F(8) + F(9)) \times 6!$$
$$\mathbf{69841} := 6! \times (F(9) + F(8) \times F(4)) + 1 = 1 + (F(4) \times F(8) + F(9)) \times 6!$$
$$\mathbf{69842} := 6! \times (F(9) + F(8) \times F(4)) + 2 = 2 + (F(4) \times F(8) + F(9)) \times 6!$$
$$\mathbf{69843} := 6! \times (F(9) + F(8) \times F(4)) + 3 = 3 + (F(4) \times F(8) + F(9)) \times 6!$$
$$\mathbf{69844} := 6! \times (F(9) + F(8) \times F(4)) + 4 = 4 + (F(4) \times F(8) + F(9)) \times 6!$$
$$\mathbf{69845} := 6! \times (F(9) + F(8) \times F(4)) + 5 = 5 + (F(4) \times F(8) + F(9)) \times 6!$$
$$\mathbf{69846} := 6! \times (F(9) + F(8) \times F(4)) + 6 = 6 + (F(4) \times F(8) + F(9)) \times 6!$$
$$\mathbf{69847} := 6! \times (F(9) + F(8) \times F(4)) + 7 = 7 + (F(4) \times F(8) + F(9)) \times 6!$$
$$\mathbf{69848} := 6! \times (F(9) + F(8) \times F(4)) + 8 = 8 + (F(4) \times F(8) + F(9)) \times 6!$$
$$\mathbf{69849} := 6! \times (F(9) + F(8) \times F(4)) + 9 = 9 + (F(4) \times F(8) + F(9)) \times 6!$$

$$\mathbf{70560} := 7! \times (0! + 5 + F(6)) + 0 = 0 + (F(6) + 5 + 0!) \times 7!$$

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$$\mathbf{70561} := 7! \times (0! + 5 + F(6)) + 1 = 1 + (F(6) + 5 + 0!) \times 7!$$
$$\mathbf{70562} := 7! \times (0! + 5 + F(6)) + 2 = 2 + (F(6) + 5 + 0!) \times 7!$$
$$\mathbf{70563} := 7! \times (0! + 5 + F(6)) + 3 = 3 + (F(6) + 5 + 0!) \times 7!$$
$$\mathbf{70564} := 7! \times (0! + 5 + F(6)) + 4 = 4 + (F(6) + 5 + 0!) \times 7!$$
$$\mathbf{70565} := 7! \times (0! + 5 + F(6)) + 5 = 5 + (F(6) + 5 + 0!) \times 7!$$
$$\mathbf{70566} := 7! \times (0! + 5 + F(6)) + 6 = 6 + (F(6) + 5 + 0!) \times 7!$$
$$\mathbf{70567} := 7! \times (0! + 5 + F(6)) + 7 = 7 + (F(6) + 5 + 0!) \times 7!$$
$$\mathbf{70568} := 7! \times (0! + 5 + F(6)) + 8 = 8 + (F(6) + 5 + 0!) \times 7!$$
$$\mathbf{70569} := 7! \times (0! + 5 + F(6)) + 9 = 9 + (F(6) + 5 + 0!) \times 7!$$

$$\mathbf{70830} := (7! + F(-0! + F(8))) \times 3! + 0 = 0 + 3! \times (F(F(8) - 0!) + 7!)$$
$$\mathbf{70831} := (7! + F(-0! + F(8))) \times 3! + 1 = 1 + 3! \times (F(F(8) - 0!) + 7!)$$
$$\mathbf{70832} := (7! + F(-0! + F(8))) \times 3! + 2 = 2 + 3! \times (F(F(8) - 0!) + 7!)$$
$$\mathbf{70833} := (7! + F(-0! + F(8))) \times 3! + 3 = 3 + 3! \times (F(F(8) - 0!) + 7!)$$
$$\mathbf{70834} := (7! + F(-0! + F(8))) \times 3! + 4 = 4 + 3! \times (F(F(8) - 0!) + 7!)$$
$$\mathbf{70835} := (7! + F(-0! + F(8))) \times 3! + 5 = 5 + 3! \times (F(F(8) - 0!) + 7!)$$
$$\mathbf{70836} := (7! + F(-0! + F(8))) \times 3! + 6 = 6 + 3! \times (F(F(8) - 0!) + 7!)$$
$$\mathbf{70837} := (7! + F(-0! + F(8))) \times 3! + 7 = 7 + 3! \times (F(F(8) - 0!) + 7!)$$
$$\mathbf{70838} := (7! + F(-0! + F(8))) \times 3! + 8 = 8 + 3! \times (F(F(8) - 0!) + 7!)$$
$$\mathbf{70839} := (7! + F(-0! + F(8))) \times 3! + 9 = 9 + 3! \times (F(F(8) - 0!) + 7!)$$

$$\mathbf{73440} := (-7! + 3!! \times 4!) \times F(4)! + 0 = 0 + F(4)! \times (4! \times 3!! - 7!)$$
$$\mathbf{73441} := (-7! + 3!! \times 4!) \times F(4)! + 1 = 1 + F(4)! \times (4! \times 3!! - 7!)$$
$$\mathbf{73442} := (-7! + 3!! \times 4!) \times F(4)! + 2 = 2 + F(4)! \times (4! \times 3!! - 7!)$$
$$\mathbf{73443} := (-7! + 3!! \times 4!) \times F(4)! + 3 = 3 + F(4)! \times (4! \times 3!! - 7!)$$
$$\mathbf{73444} := (-7! + 3!! \times 4!) \times F(4)! + 4 = 4 + F(4)! \times (4! \times 3!! - 7!)$$
$$\mathbf{73445} := (-7! + 3!! \times 4!) \times F(4)! + 5 = 5 + F(4)! \times (4! \times 3!! - 7!)$$
$$\mathbf{73446} := (-7! + 3!! \times 4!) \times F(4)! + 6 = 6 + F(4)! \times (4! \times 3!! - 7!)$$
$$\mathbf{73447} := (-7! + 3!! \times 4!) \times F(4)! + 7 = 7 + F(4)! \times (4! \times 3!! - 7!)$$
$$\mathbf{73448} := (-7! + 3!! \times 4!) \times F(4)! + 8 = 8 + F(4)! \times (4! \times 3!! - 7!)$$
$$\mathbf{73449} := (-7! + 3!! \times 4!) \times F(4)! + 9 = 9 + F(4)! \times (4! \times 3!! - 7!)$$

$$\mathbf{75480} := -7! - 5! + F(F(4)) \times 8! + 0 = 0 + 8! \times F(F(4)) - 5! - 7!$$
$$\mathbf{75481} := -7! - 5! + F(F(4)) \times 8! + 1 = 1 + 8! \times F(F(4)) - 5! - 7!$$
$$\mathbf{75482} := -7! - 5! + F(F(4)) \times 8! + 2 = 2 + 8! \times F(F(4)) - 5! - 7!$$
$$\mathbf{75483} := -7! - 5! + F(F(4)) \times 8! + 3 = 3 + 8! \times F(F(4)) - 5! - 7!$$
$$\mathbf{75484} := -7! - 5! + F(F(4)) \times 8! + 4 = 4 + 8! \times F(F(4)) - 5! - 7!$$
$$\mathbf{75485} := -7! - 5! + F(F(4)) \times 8! + 5 = 5 + 8! \times F(F(4)) - 5! - 7!$$
$$\mathbf{75486} := -7! - 5! + F(F(4)) \times 8! + 6 = 6 + 8! \times F(F(4)) - 5! - 7!$$
$$\mathbf{75487} := -7! - 5! + F(F(4)) \times 8! + 7 = 7 + 8! \times F(F(4)) - 5! - 7!$$

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$$\mathbf{75488} := -7! - 5! + F(F(4)) \times 8! + 8 = 8 + 8! \times F(F(4)) - 5! - 7!$$
$$\mathbf{75489} := -7! - 5! + F(F(4)) \times 8! + 9 = 9 + 8! \times F(F(4)) - 5! - 7!$$

$$\mathbf{75600} := 7! \times (-5 + F(F(6)) - 0!) + 0 = 0 + (-0! + F(F(6)) - 5) \times 7!$$
$$\mathbf{75601} := 7! \times (-5 + F(F(6)) - 0!) + 1 = 1 + (-0! + F(F(6)) - 5) \times 7!$$
$$\mathbf{75602} := 7! \times (-5 + F(F(6)) - 0!) + 2 = 2 + (-0! + F(F(6)) - 5) \times 7!$$
$$\mathbf{75603} := 7! \times (-5 + F(F(6)) - 0!) + 3 = 3 + (-0! + F(F(6)) - 5) \times 7!$$
$$\mathbf{75604} := 7! \times (-5 + F(F(6)) - 0!) + 4 = 4 + (-0! + F(F(6)) - 5) \times 7!$$
$$\mathbf{75605} := 7! \times (-5 + F(F(6)) - 0!) + 5 = 5 + (-0! + F(F(6)) - 5) \times 7!$$
$$\mathbf{75606} := 7! \times (-5 + F(F(6)) - 0!) + 6 = 6 + (-0! + F(F(6)) - 5) \times 7!$$
$$\mathbf{75607} := 7! \times (-5 + F(F(6)) - 0!) + 7 = 7 + (-0! + F(F(6)) - 5) \times 7!$$
$$\mathbf{75608} := 7! \times (-5 + F(F(6)) - 0!) + 8 = 8 + (-0! + F(F(6)) - 5) \times 7!$$
$$\mathbf{75609} := 7! \times (-5 + F(F(6)) - 0!) + 9 = 9 + (-0! + F(F(6)) - 5) \times 7!$$

$$\mathbf{75840} := -7! + (5! + 8!) \times F(F(4)) + 0 = 0 + F(F(4)) \times (8! + 5!) - 7!$$
$$\mathbf{75841} := -7! + (5! + 8!) \times F(F(4)) + 1 = 1 + F(F(4)) \times (8! + 5!) - 7!$$
$$\mathbf{75842} := -7! + (5! + 8!) \times F(F(4)) + 2 = 2 + F(F(4)) \times (8! + 5!) - 7!$$
$$\mathbf{75843} := -7! + (5! + 8!) \times F(F(4)) + 3 = 3 + F(F(4)) \times (8! + 5!) - 7!$$
$$\mathbf{75844} := -7! + (5! + 8!) \times F(F(4)) + 4 = 4 + F(F(4)) \times (8! + 5!) - 7!$$
$$\mathbf{75845} := -7! + (5! + 8!) \times F(F(4)) + 5 = 5 + F(F(4)) \times (8! + 5!) - 7!$$
$$\mathbf{75846} := -7! + (5! + 8!) \times F(F(4)) + 6 = 6 + F(F(4)) \times (8! + 5!) - 7!$$
$$\mathbf{75847} := -7! + (5! + 8!) \times F(F(4)) + 7 = 7 + F(F(4)) \times (8! + 5!) - 7!$$
$$\mathbf{75848} := -7! + (5! + 8!) \times F(F(4)) + 8 = 8 + F(F(4)) \times (8! + 5!) - 7!$$
$$\mathbf{75849} := -7! + (5! + 8!) \times F(F(4)) + 9 = 9 + F(F(4)) \times (8! + 5!) - 7!$$

$$\mathbf{76320} := -7! + 6! + F(3!)! \times 2 + 0 = 0 + 2 \times F(3!)! + 6! - 7!$$
$$\mathbf{76321} := -7! + 6! + F(3!)! \times 2 + 1 = 1 + 2 \times F(3!)! + 6! - 7!$$
$$\mathbf{76322} := -7! + 6! + F(3!)! \times 2 + 2 = 2 + 2 \times F(3!)! + 6! - 7!$$
$$\mathbf{76323} := -7! + 6! + F(3!)! \times 2 + 3 = 3 + 2 \times F(3!)! + 6! - 7!$$
$$\mathbf{76324} := -7! + 6! + F(3!)! \times 2 + 4 = 4 + 2 \times F(3!)! + 6! - 7!$$
$$\mathbf{76325} := -7! + 6! + F(3!)! \times 2 + 5 = 5 + 2 \times F(3!)! + 6! - 7!$$
$$\mathbf{76326} := -7! + 6! + F(3!)! \times 2 + 6 = 6 + 2 \times F(3!)! + 6! - 7!$$
$$\mathbf{76327} := -7! + 6! + F(3!)! \times 2 + 7 = 7 + 2 \times F(3!)! + 6! - 7!$$
$$\mathbf{76328} := -7! + 6! + F(3!)! \times 2 + 8 = 8 + 2 \times F(3!)! + 6! - 7!$$
$$\mathbf{76329} := -7! + 6! + F(3!)! \times 2 + 9 = 9 + 2 \times F(3!)! + 6! - 7!$$

$$\mathbf{76440} := 7 \times (F(F(F(6))) - F(F(4)) - 4!) + 0 = 0 + (-4! - F(F(4)) + F(F(F(6)))) \times 7$$
$$\mathbf{76441} := 7 \times (F(F(F(6))) - F(F(4)) - 4!) + 1 = 1 + (-4! - F(F(4)) + F(F(F(6)))) \times 7$$
$$\mathbf{76442} := 7 \times (F(F(F(6))) - F(F(4)) - 4!) + 2 = 2 + (-4! - F(F(4)) + F(F(F(6)))) \times 7$$
$$\mathbf{76443} := 7 \times (F(F(F(6))) - F(F(4)) - 4!) + 3 = 3 + (-4! - F(F(4)) + F(F(F(6)))) \times 7$$
$$\mathbf{76444} := 7 \times (F(F(F(6))) - F(F(4)) - 4!) + 4 = 4 + (-4! - F(F(4)) + F(F(F(6)))) \times 7$$

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$$\mathbf{76445} := 7\times(F(F(F(6)))-F(F(4))-4!)+5 = 5+(-4!-F(F(4))+F(F(F(6))))\times 7$$
$$\mathbf{76446} := 7\times(F(F(F(6)))-F(F(4))-4!)+6 = 6+(-4!-F(F(4))+F(F(F(6))))\times 7$$
$$\mathbf{76447} := 7\times(F(F(F(6)))-F(F(4))-4!)+7 = 7+(-4!-F(F(4))+F(F(F(6))))\times 7$$
$$\mathbf{76448} := 7\times(F(F(F(6)))-F(F(4))-4!)+8 = 8+(-4!-F(F(4))+F(F(F(6))))\times 7$$
$$\mathbf{76449} := 7\times(F(F(F(6)))-F(F(4))-4!)+9 = 9+(-4!-F(F(4))+F(F(F(6))))\times 7$$

$$\mathbf{76580} := 7\times(-(F(6)-5)!+F(F(8)))+0 = 0+(F(F(8))-(-5+F(6))!)\times 7$$
$$\mathbf{76581} := 7\times(-(F(6)-5)!+F(F(8)))+1 = 1+(F(F(8))-(-5+F(6))!)\times 7$$
$$\mathbf{76582} := 7\times(-(F(6)-5)!+F(F(8)))+2 = 2+(F(F(8))-(-5+F(6))!)\times 7$$
$$\mathbf{76583} := 7\times(-(F(6)-5)!+F(F(8)))+3 = 3+(F(F(8))-(-5+F(6))!)\times 7$$
$$\mathbf{76584} := 7\times(-(F(6)-5)!+F(F(8)))+4 = 4+(F(F(8))-(-5+F(6))!)\times 7$$
$$\mathbf{76585} := 7\times(-(F(6)-5)!+F(F(8)))+5 = 5+(F(F(8))-(-5+F(6))!)\times 7$$
$$\mathbf{76586} := 7\times(-(F(6)-5)!+F(F(8)))+6 = 6+(F(F(8))-(-5+F(6))!)\times 7$$
$$\mathbf{76587} := 7\times(-(F(6)-5)!+F(F(8)))+7 = 7+(F(F(8))-(-5+F(6))!)\times 7$$
$$\mathbf{76588} := 7\times(-(F(6)-5)!+F(F(8)))+8 = 8+(F(F(8))-(-5+F(6))!)\times 7$$
$$\mathbf{76589} := 7\times(-(F(6)-5)!+F(F(8)))+9 = 9+(F(F(8))-(-5+F(6))!)\times 7$$

$$\mathbf{76630} := (F(7)-6)\times F(F(F(6)))+F(3!)+0 = 0+F(3!)+F(F(F(6)))\times(-6+F(7))$$
$$\mathbf{76631} := (F(7)-6)\times F(F(F(6)))+F(3!)+1 = 1+F(3!)+F(F(F(6)))\times(-6+F(7))$$
$$\mathbf{76632} := (F(7)-6)\times F(F(F(6)))+F(3!)+2 = 2+F(3!)+F(F(F(6)))\times(-6+F(7))$$
$$\mathbf{76633} := (F(7)-6)\times F(F(F(6)))+F(3!)+3 = 3+F(3!)+F(F(F(6)))\times(-6+F(7))$$
$$\mathbf{76634} := (F(7)-6)\times F(F(F(6)))+F(3!)+4 = 4+F(3!)+F(F(F(6)))\times(-6+F(7))$$
$$\mathbf{76635} := (F(7)-6)\times F(F(F(6)))+F(3!)+5 = 5+F(3!)+F(F(F(6)))\times(-6+F(7))$$
$$\mathbf{76636} := (F(7)-6)\times F(F(F(6)))+F(3!)+6 = 6+F(3!)+F(F(F(6)))\times(-6+F(7))$$
$$\mathbf{76637} := (F(7)-6)\times F(F(F(6)))+F(3!)+7 = 7+F(3!)+F(F(F(6)))\times(-6+F(7))$$
$$\mathbf{76638} := (F(7)-6)\times F(F(F(6)))+F(3!)+8 = 8+F(3!)+F(F(F(6)))\times(-6+F(7))$$
$$\mathbf{76639} := (F(7)-6)\times F(F(F(6)))+F(3!)+9 = 9+F(3!)+F(F(F(6)))\times(-6+F(7))$$

$$\mathbf{76790} := 7\times(F(F(F(6)))+(F(7)-9)!)+0 = 0+((-9+F(7))!+F(F(F(6))))\times 7$$
$$\mathbf{76791} := 7\times(F(F(F(6)))+(F(7)-9)!)+1 = 1+((-9+F(7))!+F(F(F(6))))\times 7$$
$$\mathbf{76792} := 7\times(F(F(F(6)))+(F(7)-9)!)+2 = 2+((-9+F(7))!+F(F(F(6))))\times 7$$
$$\mathbf{76793} := 7\times(F(F(F(6)))+(F(7)-9)!)+3 = 3+((-9+F(7))!+F(F(F(6))))\times 7$$
$$\mathbf{76794} := 7\times(F(F(F(6)))+(F(7)-9)!)+4 = 4+((-9+F(7))!+F(F(F(6))))\times 7$$
$$\mathbf{76795} := 7\times(F(F(F(6)))+(F(7)-9)!)+5 = 5+((-9+F(7))!+F(F(F(6))))\times 7$$
$$\mathbf{76796} := 7\times(F(F(F(6)))+(F(7)-9)!)+6 = 6+((-9+F(7))!+F(F(F(6))))\times 7$$
$$\mathbf{76797} := 7\times(F(F(F(6)))+(F(7)-9)!)+7 = 7+((-9+F(7))!+F(F(F(6))))\times 7$$
$$\mathbf{76798} := 7\times(F(F(F(6)))+(F(7)-9)!)+8 = 8+((-9+F(7))!+F(F(F(6))))\times 7$$
$$\mathbf{76799} := 7\times(F(F(F(6)))+(F(7)-9)!)+9 = 9+((-9+F(7))!+F(F(F(6))))\times 7$$

$$\mathbf{78340} := (7!+F(F(8)))\times F(3)+F(4!)+0 = 0+F(4!)+F(3)\times(F(F(8))+7!)$$

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$$\mathbf{78341} := (7! + F(F(8))) \times F(3) + F(4!) + 1 = 1 + F(4!) + F(3) \times (F(F(8)) + 7!)$$
$$\mathbf{78342} := (7! + F(F(8))) \times F(3) + F(4!) + 2 = 2 + F(4!) + F(3) \times (F(F(8)) + 7!)$$
$$\mathbf{78343} := (7! + F(F(8))) \times F(3) + F(4!) + 3 = 3 + F(4!) + F(3) \times (F(F(8)) + 7!)$$
$$\mathbf{78344} := (7! + F(F(8))) \times F(3) + F(4!) + 4 = 4 + F(4!) + F(3) \times (F(F(8)) + 7!)$$
$$\mathbf{78345} := (7! + F(F(8))) \times F(3) + F(4!) + 5 = 5 + F(4!) + F(3) \times (F(F(8)) + 7!)$$
$$\mathbf{78346} := (7! + F(F(8))) \times F(3) + F(4!) + 6 = 6 + F(4!) + F(3) \times (F(F(8)) + 7!)$$
$$\mathbf{78347} := (7! + F(F(8))) \times F(3) + F(4!) + 7 = 7 + F(4!) + F(3) \times (F(F(8)) + 7!)$$
$$\mathbf{78348} := (7! + F(F(8))) \times F(3) + F(4!) + 8 = 8 + F(4!) + F(3) \times (F(F(8)) + 7!)$$
$$\mathbf{78349} := (7! + F(F(8))) \times F(3) + F(4!) + 9 = 9 + F(4!) + F(3) \times (F(F(8)) + 7!)$$

$$\mathbf{80630} := (8! + 0! - 6) \times F(3) + 0 = 0 - F(3) \times (6 - 0! - 8!)$$
$$\mathbf{80631} := (8! + 0! - 6) \times F(3) + 1 = 1 - F(3) \times (6 - 0! - 8!)$$
$$\mathbf{80632} := (8! + 0! - 6) \times F(3) + 2 = 2 - F(3) \times (6 - 0! - 8!)$$
$$\mathbf{80633} := (8! + 0! - 6) \times F(3) + 3 = 3 - F(3) \times (6 - 0! - 8!)$$
$$\mathbf{80634} := (8! + 0! - 6) \times F(3) + 4 = 4 - F(3) \times (6 - 0! - 8!)$$
$$\mathbf{80635} := (8! + 0! - 6) \times F(3) + 5 = 5 - F(3) \times (6 - 0! - 8!)$$
$$\mathbf{80636} := (8! + 0! - 6) \times F(3) + 6 = 6 - F(3) \times (6 - 0! - 8!)$$
$$\mathbf{80637} := (8! + 0! - 6) \times F(3) + 7 = 7 - F(3) \times (6 - 0! - 8!)$$
$$\mathbf{80638} := (8! + 0! - 6) \times F(3) + 8 = 8 - F(3) \times (6 - 0! - 8!)$$
$$\mathbf{80639} := (8! + 0! - 6) \times F(3) + 9 = 9 - F(3) \times (6 - 0! - 8!)$$

$$\mathbf{81360} := 8! \times F(1 \times 3) + 6! + 0 = 0 + 6! + F(3 \times 1) \times 8!$$
$$\mathbf{81361} := 8! \times F(1 \times 3) + 6! + 1 = 1 + 6! + F(3 \times 1) \times 8!$$
$$\mathbf{81362} := 8! \times F(1 \times 3) + 6! + 2 = 2 + 6! + F(3 \times 1) \times 8!$$
$$\mathbf{81363} := 8! \times F(1 \times 3) + 6! + 3 = 3 + 6! + F(3 \times 1) \times 8!$$
$$\mathbf{81364} := 8! \times F(1 \times 3) + 6! + 4 = 4 + 6! + F(3 \times 1) \times 8!$$
$$\mathbf{81365} := 8! \times F(1 \times 3) + 6! + 5 = 5 + 6! + F(3 \times 1) \times 8!$$
$$\mathbf{81366} := 8! \times F(1 \times 3) + 6! + 6 = 6 + 6! + F(3 \times 1) \times 8!$$
$$\mathbf{81367} := 8! \times F(1 \times 3) + 6! + 7 = 7 + 6! + F(3 \times 1) \times 8!$$
$$\mathbf{81368} := 8! \times F(1 \times 3) + 6! + 8 = 8 + 6! + F(3 \times 1) \times 8!$$
$$\mathbf{81369} := 8! \times F(1 \times 3) + 6! + 9 = 9 + 6! + F(3 \times 1) \times 8!$$

$$\mathbf{84960} := (F(8) \times 4 + F(9)) \times 6! + 0 = 0 + 6! \times (F(9) + 4 \times F(8))$$
$$\mathbf{84961} := (F(8) \times 4 + F(9)) \times 6! + 1 = 1 + 6! \times (F(9) + 4 \times F(8))$$
$$\mathbf{84962} := (F(8) \times 4 + F(9)) \times 6! + 2 = 2 + 6! \times (F(9) + 4 \times F(8))$$
$$\mathbf{84963} := (F(8) \times 4 + F(9)) \times 6! + 3 = 3 + 6! \times (F(9) + 4 \times F(8))$$
$$\mathbf{84964} := (F(8) \times 4 + F(9)) \times 6! + 4 = 4 + 6! \times (F(9) + 4 \times F(8))$$
$$\mathbf{84965} := (F(8) \times 4 + F(9)) \times 6! + 5 = 5 + 6! \times (F(9) + 4 \times F(8))$$
$$\mathbf{84966} := (F(8) \times 4 + F(9)) \times 6! + 6 = 6 + 6! \times (F(9) + 4 \times F(8))$$
$$\mathbf{84967} := (F(8) \times 4 + F(9)) \times 6! + 7 = 7 + 6! \times (F(9) + 4 \times F(8))$$

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$$\mathbf{84968} := (F(8)\times 4+F(9))\times 6!+8 \;=\; 8+6!\times(F(9)+4\times F(8))$$
$$\mathbf{84969} := (F(8)\times 4+F(9))\times 6!+9 \;=\; 9+6!\times(F(9)+4\times F(8))$$

$$\mathbf{85440} := 8\times 5!\times F(F(4)+F(F(4)!))+0 \;=\; 0+F(F(4)+F(F(4)!))\times 5!\times 8$$
$$\mathbf{85441} := 8\times 5!\times F(F(4)+F(F(4)!))+1 \;=\; 1+F(F(4)+F(F(4)!))\times 5!\times 8$$
$$\mathbf{85442} := 8\times 5!\times F(F(4)+F(F(4)!))+2 \;=\; 2+F(F(4)+F(F(4)!))\times 5!\times 8$$
$$\mathbf{85443} := 8\times 5!\times F(F(4)+F(F(4)!))+3 \;=\; 3+F(F(4)+F(F(4)!))\times 5!\times 8$$
$$\mathbf{85444} := 8\times 5!\times F(F(4)+F(F(4)!))+4 \;=\; 4+F(F(4)+F(F(4)!))\times 5!\times 8$$
$$\mathbf{85445} := 8\times 5!\times F(F(4)+F(F(4)!))+5 \;=\; 5+F(F(4)+F(F(4)!))\times 5!\times 8$$
$$\mathbf{85446} := 8\times 5!\times F(F(4)+F(F(4)!))+6 \;=\; 6+F(F(4)+F(F(4)!))\times 5!\times 8$$
$$\mathbf{85447} := 8\times 5!\times F(F(4)+F(F(4)!))+7 \;=\; 7+F(F(4)+F(F(4)!))\times 5!\times 8$$
$$\mathbf{85448} := 8\times 5!\times F(F(4)+F(F(4)!))+8 \;=\; 8+F(F(4)+F(F(4)!))\times 5!\times 8$$
$$\mathbf{85449} := 8\times 5!\times F(F(4)+F(F(4)!))+9 \;=\; 9+F(F(4)+F(F(4)!))\times 5!\times 8$$

$$\mathbf{86640} := 8!-6\times F(6)+F(4!)+0 \;=\; 0+F(4!)-F(6)\times 6+8!$$
$$\mathbf{86641} := 8!-6\times F(6)+F(4!)+1 \;=\; 1+F(4!)-F(6)\times 6+8!$$
$$\mathbf{86642} := 8!-6\times F(6)+F(4!)+2 \;=\; 2+F(4!)-F(6)\times 6+8!$$
$$\mathbf{86643} := 8!-6\times F(6)+F(4!)+3 \;=\; 3+F(4!)-F(6)\times 6+8!$$
$$\mathbf{86644} := 8!-6\times F(6)+F(4!)+4 \;=\; 4+F(4!)-F(6)\times 6+8!$$
$$\mathbf{86645} := 8!-6\times F(6)+F(4!)+5 \;=\; 5+F(4!)-F(6)\times 6+8!$$
$$\mathbf{86646} := 8!-6\times F(6)+F(4!)+6 \;=\; 6+F(4!)-F(6)\times 6+8!$$
$$\mathbf{86647} := 8!-6\times F(6)+F(4!)+7 \;=\; 7+F(4!)-F(6)\times 6+8!$$
$$\mathbf{86648} := 8!-6\times F(6)+F(4!)+8 \;=\; 8+F(4!)-F(6)\times 6+8!$$
$$\mathbf{86649} := 8!-6\times F(6)+F(4!)+9 \;=\; 9+F(4!)-F(6)\times 6+8!$$

$$\mathbf{86840} := -8+F(6)\times F(F(8))-F(4)!!+0 \;=\; 0-F(4)!!+F(F(8))\times F(6)-8$$
$$\mathbf{86841} := -8+F(6)\times F(F(8))-F(4)!!+1 \;=\; 1-F(4)!!+F(F(8))\times F(6)-8$$
$$\mathbf{86842} := -8+F(6)\times F(F(8))-F(4)!!+2 \;=\; 2-F(4)!!+F(F(8))\times F(6)-8$$
$$\mathbf{86843} := -8+F(6)\times F(F(8))-F(4)!!+3 \;=\; 3-F(4)!!+F(F(8))\times F(6)-8$$
$$\mathbf{86844} := -8+F(6)\times F(F(8))-F(4)!!+4 \;=\; 4-F(4)!!+F(F(8))\times F(6)-8$$
$$\mathbf{86845} := -8+F(6)\times F(F(8))-F(4)!!+5 \;=\; 5-F(4)!!+F(F(8))\times F(6)-8$$
$$\mathbf{86846} := -8+F(6)\times F(F(8))-F(4)!!+6 \;=\; 6-F(4)!!+F(F(8))\times F(6)-8$$
$$\mathbf{86847} := -8+F(6)\times F(F(8))-F(4)!!+7 \;=\; 7-F(4)!!+F(F(8))\times F(6)-8$$
$$\mathbf{86848} := -8+F(6)\times F(F(8))-F(4)!!+8 \;=\; 8-F(4)!!+F(F(8))\times F(6)-8$$
$$\mathbf{86849} := -8+F(6)\times F(F(8))-F(4)!!+9 \;=\; 9-F(4)!!+F(F(8))\times F(6)-8$$

$$\mathbf{86940} := (-F(8)\times 6!+9!)/4+0 \;=\; 0+F(4!)\times(9+6)/8$$
$$\mathbf{86941} := (-F(8)\times 6!+9!)/4+1 \;=\; 1+F(4!)\times(9+6)/8$$
$$\mathbf{86942} := (-F(8)\times 6!+9!)/4+2 \;=\; 2+F(4!)\times(9+6)/8$$
$$\mathbf{86943} := (-F(8)\times 6!+9!)/4+3 \;=\; 3+F(4!)\times(9+6)/8$$

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$$\mathbf{86944} := (-F(8) \times 6! + 9!)/4 + 4 = 4 + F(4!) \times (9+6)/8$$
$$\mathbf{86945} := (-F(8) \times 6! + 9!)/4 + 5 = 5 + F(4!) \times (9+6)/8$$
$$\mathbf{86946} := (-F(8) \times 6! + 9!)/4 + 6 = 6 + F(4!) \times (9+6)/8$$
$$\mathbf{86947} := (-F(8) \times 6! + 9!)/4 + 7 = 7 + F(4!) \times (9+6)/8$$
$$\mathbf{86948} := (-F(8) \times 6! + 9!)/4 + 8 = 8 + F(4!) \times (9+6)/8$$
$$\mathbf{86949} := (-F(8) \times 6! + 9!)/4 + 9 = 9 + F(4!) \times (9+6)/8$$

$$\mathbf{87360} := (-8 + F(7))! \times (F(3!) + 6!) + 0 = 0 + (6! + F(3!)) \times (F(7) - 8)!$$
$$\mathbf{87361} := (-8 + F(7))! \times (F(3!) + 6!) + 1 = 1 + (6! + F(3!)) \times (F(7) - 8)!$$
$$\mathbf{87362} := (-8 + F(7))! \times (F(3!) + 6!) + 2 = 2 + (6! + F(3!)) \times (F(7) - 8)!$$
$$\mathbf{87363} := (-8 + F(7))! \times (F(3!) + 6!) + 3 = 3 + (6! + F(3!)) \times (F(7) - 8)!$$
$$\mathbf{87364} := (-8 + F(7))! \times (F(3!) + 6!) + 4 = 4 + (6! + F(3!)) \times (F(7) - 8)!$$
$$\mathbf{87365} := (-8 + F(7))! \times (F(3!) + 6!) + 5 = 5 + (6! + F(3!)) \times (F(7) - 8)!$$
$$\mathbf{87366} := (-8 + F(7))! \times (F(3!) + 6!) + 6 = 6 + (6! + F(3!)) \times (F(7) - 8)!$$
$$\mathbf{87367} := (-8 + F(7))! \times (F(3!) + 6!) + 7 = 7 + (6! + F(3!)) \times (F(7) - 8)!$$
$$\mathbf{87368} := (-8 + F(7))! \times (F(3!) + 6!) + 8 = 8 + (6! + F(3!)) \times (F(7) - 8)!$$
$$\mathbf{87369} := (-8 + F(7))! \times (F(3!) + 6!) + 9 = 9 + (6! + F(3!)) \times (F(7) - 8)!$$

$$\mathbf{88520} := 8 \times (F(F(8)) + 5! - F(2)) + 0 = 0 + (-F(2) + 5! + F(F(8))) \times 8$$
$$\mathbf{88521} := 8 \times (F(F(8)) + 5! - F(2)) + 1 = 1 + (-F(2) + 5! + F(F(8))) \times 8$$
$$\mathbf{88522} := 8 \times (F(F(8)) + 5! - F(2)) + 2 = 2 + (-F(2) + 5! + F(F(8))) \times 8$$
$$\mathbf{88523} := 8 \times (F(F(8)) + 5! - F(2)) + 3 = 3 + (-F(2) + 5! + F(F(8))) \times 8$$
$$\mathbf{88524} := 8 \times (F(F(8)) + 5! - F(2)) + 4 = 4 + (-F(2) + 5! + F(F(8))) \times 8$$
$$\mathbf{88525} := 8 \times (F(F(8)) + 5! - F(2)) + 5 = 5 + (-F(2) + 5! + F(F(8))) \times 8$$
$$\mathbf{88526} := 8 \times (F(F(8)) + 5! - F(2)) + 6 = 6 + (-F(2) + 5! + F(F(8))) \times 8$$
$$\mathbf{88527} := 8 \times (F(F(8)) + 5! - F(2)) + 7 = 7 + (-F(2) + 5! + F(F(8))) \times 8$$
$$\mathbf{88528} := 8 \times (F(F(8)) + 5! - F(2)) + 8 = 8 + (-F(2) + 5! + F(F(8))) \times 8$$
$$\mathbf{88529} := 8 \times (F(F(8)) + 5! - F(2)) + 9 = 9 + (-F(2) + 5! + F(F(8))) \times 8$$

$$\mathbf{90440} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 0 = 0 + F(F(4) \times F(4)!) \times (0! + F(9))$$
$$\mathbf{90441} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 1 = 1 + F(F(4) \times F(4)!) \times (0! + F(9))$$
$$\mathbf{90442} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 2 = 2 + F(F(4) \times F(4)!) \times (0! + F(9))$$
$$\mathbf{90443} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 3 = 3 + F(F(4) \times F(4)!) \times (0! + F(9))$$
$$\mathbf{90444} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 4 = 4 + F(F(4) \times F(4)!) \times (0! + F(9))$$
$$\mathbf{90445} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 5 = 5 + F(F(4) \times F(4)!) \times (0! + F(9))$$
$$\mathbf{90446} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 6 = 6 + F(F(4) \times F(4)!) \times (0! + F(9))$$
$$\mathbf{90447} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 7 = 7 + F(F(4) \times F(4)!) \times (0! + F(9))$$
$$\mathbf{90448} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 8 = 8 + F(F(4) \times F(4)!) \times (0! + F(9))$$
$$\mathbf{90449} := (F(9) + 0!) \times F(F(4) \times F(4)!) + 9 = 9 + F(F(4) \times F(4)!) \times (0! + F(9))$$

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$$\mathbf{93330} := (9+3!^{3!}) \times F(3)+0 \;=\; 0+F(3) \times (3!^{3!}+9)$$
$$\mathbf{93331} := (9+3!^{3!}) \times F(3)+1 \;=\; 1+F(3) \times (3!^{3!}+9)$$
$$\mathbf{93332} := (9+3!^{3!}) \times F(3)+2 \;=\; 2+F(3) \times (3!^{3!}+9)$$
$$\mathbf{93333} := (9+3!^{3!}) \times F(3)+3 \;=\; 3+F(3) \times (3!^{3!}+9)$$
$$\mathbf{93334} := (9+3!^{3!}) \times F(3)+4 \;=\; 4+F(3) \times (3!^{3!}+9)$$
$$\mathbf{93335} := (9+3!^{3!}) \times F(3)+5 \;=\; 5+F(3) \times (3!^{3!}+9)$$
$$\mathbf{93336} := (9+3!^{3!}) \times F(3)+6 \;=\; 6+F(3) \times (3!^{3!}+9)$$
$$\mathbf{93337} := (9+3!^{3!}) \times F(3)+7 \;=\; 7+F(3) \times (3!^{3!}+9)$$
$$\mathbf{93338} := (9+3!^{3!}) \times F(3)+8 \;=\; 8+F(3) \times (3!^{3!}+9)$$
$$\mathbf{93339} := (9+3!^{3!}) \times F(3)+9 \;=\; 9+F(3) \times (3!^{3!}+9)$$

$$\mathbf{96480} := -F(9) \times 6!+F(4) \times 8!+0 \;=\; 0+8! \times F(4)-6! \times F(9)$$
$$\mathbf{96481} := -F(9) \times 6!+F(4) \times 8!+1 \;=\; 1+8! \times F(4)-6! \times F(9)$$
$$\mathbf{96482} := -F(9) \times 6!+F(4) \times 8!+2 \;=\; 2+8! \times F(4)-6! \times F(9)$$
$$\mathbf{96483} := -F(9) \times 6!+F(4) \times 8!+3 \;=\; 3+8! \times F(4)-6! \times F(9)$$
$$\mathbf{96484} := -F(9) \times 6!+F(4) \times 8!+4 \;=\; 4+8! \times F(4)-6! \times F(9)$$
$$\mathbf{96485} := -F(9) \times 6!+F(4) \times 8!+5 \;=\; 5+8! \times F(4)-6! \times F(9)$$
$$\mathbf{96486} := -F(9) \times 6!+F(4) \times 8!+6 \;=\; 6+8! \times F(4)-6! \times F(9)$$
$$\mathbf{96487} := -F(9) \times 6!+F(4) \times 8!+7 \;=\; 7+8! \times F(4)-6! \times F(9)$$
$$\mathbf{96488} := -F(9) \times 6!+F(4) \times 8!+8 \;=\; 8+8! \times F(4)-6! \times F(9)$$
$$\mathbf{96489} := -F(9) \times 6!+F(4) \times 8!+9 \;=\; 9+8! \times F(4)-6! \times F(9)$$

$$\mathbf{98640} := 9 \times (F(F(8))+F(6)+F(4)!)+0 \;=\; 0+(F(4)!+F(6)+F(F(8))) \times 9$$
$$\mathbf{98641} := 9 \times (F(F(8))+F(6)+F(4)!)+1 \;=\; 1+(F(4)!+F(6)+F(F(8))) \times 9$$
$$\mathbf{98642} := 9 \times (F(F(8))+F(6)+F(4)!)+2 \;=\; 2+(F(4)!+F(6)+F(F(8))) \times 9$$
$$\mathbf{98643} := 9 \times (F(F(8))+F(6)+F(4)!)+3 \;=\; 3+(F(4)!+F(6)+F(F(8))) \times 9$$
$$\mathbf{98644} := 9 \times (F(F(8))+F(6)+F(4)!)+4 \;=\; 4+(F(4)!+F(6)+F(F(8))) \times 9$$
$$\mathbf{98645} := 9 \times (F(F(8))+F(6)+F(4)!)+5 \;=\; 5+(F(4)!+F(6)+F(F(8))) \times 9$$
$$\mathbf{98646} := 9 \times (F(F(8))+F(6)+F(4)!)+6 \;=\; 6+(F(4)!+F(6)+F(F(8))) \times 9$$
$$\mathbf{98647} := 9 \times (F(F(8))+F(6)+F(4)!)+7 \;=\; 7+(F(4)!+F(6)+F(F(8))) \times 9$$
$$\mathbf{98648} := 9 \times (F(F(8))+F(6)+F(4)!)+8 \;=\; 8+(F(4)!+F(6)+F(F(8))) \times 9$$
$$\mathbf{98649} := 9 \times (F(F(8))+F(6)+F(4)!)+9 \;=\; 9+(F(4)!+F(6)+F(F(8))) \times 9$$

$$\mathbf{98730} := 9 \times (F(F(8))+(7-3)!)+0 \;=\; 0+((-3+7)!+F(F(8))) \times 9$$
$$\mathbf{98731} := 9 \times (F(F(8))+(7-3)!)+1 \;=\; 1+((-3+7)!+F(F(8))) \times 9$$
$$\mathbf{98732} := 9 \times (F(F(8))+(7-3)!)+2 \;=\; 2+((-3+7)!+F(F(8))) \times 9$$
$$\mathbf{98733} := 9 \times (F(F(8))+(7-3)!)+3 \;=\; 3+((-3+7)!+F(F(8))) \times 9$$
$$\mathbf{98734} := 9 \times (F(F(8))+(7-3)!)+4 \;=\; 4+((-3+7)!+F(F(8))) \times 9$$
$$\mathbf{98735} := 9 \times (F(F(8))+(7-3)!)+5 \;=\; 5+((-3+7)!+F(F(8))) \times 9$$

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$$\mathbf{98736} := 9 \times (F(F(8)) + (7-3)!) + 6 = 6 + ((-3+7)! + F(F(8))) \times 9$$
$$\mathbf{98737} := 9 \times (F(F(8)) + (7-3)!) + 7 = 7 + ((-3+7)! + F(F(8))) \times 9$$
$$\mathbf{98738} := 9 \times (F(F(8)) + (7-3)!) + 8 = 8 + ((-3+7)! + F(F(8))) \times 9$$
$$\mathbf{98739} := 9 \times (F(F(8)) + (7-3)!) + 9 = 9 + ((-3+7)! + F(F(8))) \times 9$$

$$\mathbf{99560} := -F(9) + 9 \times (5! + F(F(F(6)))) + 0 = 0 + (F(F(F(6))) + 5!) \times 9 - F(9)$$
$$\mathbf{99561} := -F(9) + 9 \times (5! + F(F(F(6)))) + 1 = 1 + (F(F(F(6))) + 5!) \times 9 - F(9)$$
$$\mathbf{99562} := -F(9) + 9 \times (5! + F(F(F(6)))) + 2 = 2 + (F(F(F(6))) + 5!) \times 9 - F(9)$$
$$\mathbf{99563} := -F(9) + 9 \times (5! + F(F(F(6)))) + 3 = 3 + (F(F(F(6))) + 5!) \times 9 - F(9)$$
$$\mathbf{99564} := -F(9) + 9 \times (5! + F(F(F(6)))) + 4 = 4 + (F(F(F(6))) + 5!) \times 9 - F(9)$$
$$\mathbf{99565} := -F(9) + 9 \times (5! + F(F(F(6)))) + 5 = 5 + (F(F(F(6))) + 5!) \times 9 - F(9)$$
$$\mathbf{99566} := -F(9) + 9 \times (5! + F(F(F(6)))) + 6 = 6 + (F(F(F(6))) + 5!) \times 9 - F(9)$$
$$\mathbf{99567} := -F(9) + 9 \times (5! + F(F(F(6)))) + 7 = 7 + (F(F(F(6))) + 5!) \times 9 - F(9)$$
$$\mathbf{99568} := -F(9) + 9 \times (5! + F(F(F(6)))) + 8 = 8 + (F(F(F(6))) + 5!) \times 9 - F(9)$$
$$\mathbf{99569} := -F(9) + 9 \times (5! + F(F(F(6)))) + 9 = 9 + (F(F(F(6))) + 5!) \times 9 - F(9)$$

3.2 Symmetric Representations in Digit's Order

Below are examples of numbers written in digit's order:

3.2.1 Basic Operations

$$\mathbf{15250} := F(15) \times 25 + 0$$
$$\mathbf{15251} := F(15) \times 25 + 1$$
$$\mathbf{15252} := F(15) \times 25 + 2$$
$$\mathbf{15253} := F(15) \times 25 + 3$$
$$\mathbf{15254} := F(15) \times 25 + 4$$
$$\mathbf{15255} := F(15) \times 25 + 5$$
$$\mathbf{15256} := F(15) \times 25 + 6$$
$$\mathbf{15257} := F(15) \times 25 + 7$$
$$\mathbf{15258} := F(15) \times 25 + 8$$
$$\mathbf{15259} := F(15) \times 25 + 9$$

$$\mathbf{16420} := 1 + F(F(F(6))) \times F(4)/2 + 0$$
$$\mathbf{16421} := 1 + F(F(F(6))) \times F(4)/2 + 1$$
$$\mathbf{16422} := 1 + F(F(F(6))) \times F(4)/2 + 2$$
$$\mathbf{16423} := 1 + F(F(F(6))) \times F(4)/2 + 3$$
$$\mathbf{16424} := 1 + F(F(F(6))) \times F(4)/2 + 4$$
$$\mathbf{16425} := 1 + F(F(F(6))) \times F(4)/2 + 5$$
$$\mathbf{16426} := 1 + F(F(F(6))) \times F(4)/2 + 6$$
$$\mathbf{16427} := 1 + F(F(F(6))) \times F(4)/2 + 7$$
$$\mathbf{16428} := 1 + F(F(F(6))) \times F(4)/2 + 8$$
$$\mathbf{16429} := 1 + F(F(F(6))) \times F(4)/2 + 9$$

$$\mathbf{26470} := F(2 + F(F(6))) - F(4)^7 + 0$$
$$\mathbf{26471} := F(2 + F(F(6))) - F(4)^7 + 1$$
$$\mathbf{26472} := F(2 + F(F(6))) - F(4)^7 + 2$$
$$\mathbf{26473} := F(2 + F(F(6))) - F(4)^7 + 3$$
$$\mathbf{26474} := F(2 + F(F(6))) - F(4)^7 + 4$$
$$\mathbf{26475} := F(2 + F(F(6))) - F(4)^7 + 5$$
$$\mathbf{26476} := F(2 + F(F(6))) - F(4)^7 + 6$$
$$\mathbf{26477} := F(2 + F(F(6))) - F(4)^7 + 7$$
$$\mathbf{26478} := F(2 + F(F(6))) - F(4)^7 + 8$$
$$\mathbf{26479} := F(2 + F(F(6))) - F(4)^7 + 9$$

$$\mathbf{27450} := F(2 + F(7)) \times 45 + 0$$
$$\mathbf{27451} := F(2 + F(7)) \times 45 + 1$$
$$\mathbf{27452} := F(2 + F(7)) \times 45 + 2$$
$$\mathbf{27453} := F(2 + F(7)) \times 45 + 3$$

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$27454 := F(2+F(7)) \times 45 + 4$
$27455 := F(2+F(7)) \times 45 + 5$
$27456 := F(2+F(7)) \times 45 + 6$
$27457 := F(2+F(7)) \times 45 + 7$
$27458 := F(2+F(7)) \times 45 + 8$
$27459 := F(2+F(7)) \times 45 + 9$

$28730 := F(2+F(8)) + 73 + 0$
$28731 := F(2+F(8)) + 73 + 1$
$28732 := F(2+F(8)) + 73 + 2$
$28733 := F(2+F(8)) + 73 + 3$
$28734 := F(2+F(8)) + 73 + 4$
$28735 := F(2+F(8)) + 73 + 5$
$28736 := F(2+F(8)) + 73 + 6$
$28737 := F(2+F(8)) + 73 + 7$
$28738 := F(2+F(8)) + 73 + 8$
$28739 := F(2+F(8)) + 73 + 9$

$32760 := F(3)^{2+F(7)} - F(6) + 0$
$32761 := F(3)^{2+F(7)} - F(6) + 1$
$32762 := F(3)^{2+F(7)} - F(6) + 2$
$32763 := F(3)^{2+F(7)} - F(6) + 3$
$32764 := F(3)^{2+F(7)} - F(6) + 4$
$32765 := F(3)^{2+F(7)} - F(6) + 5$
$32766 := F(3)^{2+F(7)} - F(6) + 6$
$32767 := F(3)^{2+F(7)} - F(6) + 7$
$32768 := F(3)^{2+F(7)} - F(6) + 8$
$32769 := F(3)^{2+F(7)} - F(6) + 9$

$43460 := 4 \times (-3^4 + F(F(F(6)))) + 0$
$43461 := 4 \times (-3^4 + F(F(F(6)))) + 1$
$43462 := 4 \times (-3^4 + F(F(F(6)))) + 2$
$43463 := 4 \times (-3^4 + F(F(F(6)))) + 3$
$43464 := 4 \times (-3^4 + F(F(F(6)))) + 4$
$43465 := 4 \times (-3^4 + F(F(F(6)))) + 5$
$43466 := 4 \times (-3^4 + F(F(F(6)))) + 6$
$43467 := 4 \times (-3^4 + F(F(F(6)))) + 7$
$43468 := 4 \times (-3^4 + F(F(F(6)))) + 8$
$43469 := 4 \times (-3^4 + F(F(F(6)))) + 9$

$45750 := F(F(4) \times 5) \times 75 + 0$
$45751 := F(F(4) \times 5) \times 75 + 1$
$45752 := F(F(4) \times 5) \times 75 + 2$
$45753 := F(F(4) \times 5) \times 75 + 3$
$45754 := F(F(4) \times 5) \times 75 + 4$
$45755 := F(F(4) \times 5) \times 75 + 5$
$45756 := F(F(4) \times 5) \times 75 + 6$
$45757 := F(F(4) \times 5) \times 75 + 7$
$45758 := F(F(4) \times 5) \times 75 + 8$
$45759 := F(F(4) \times 5) \times 75 + 9$

$54900 := F(5 \times F(4)) \times 90 + 0$
$54901 := F(5 \times F(4)) \times 90 + 1$
$54902 := F(5 \times F(4)) \times 90 + 2$
$54903 := F(5 \times F(4)) \times 90 + 3$
$54904 := F(5 \times F(4)) \times 90 + 4$
$54905 := F(5 \times F(4)) \times 90 + 5$
$54906 := F(5 \times F(4)) \times 90 + 6$
$54907 := F(5 \times F(4)) \times 90 + 7$
$54908 := F(5 \times F(4)) \times 90 + 8$
$54909 := F(5 \times F(4)) \times 90 + 9$

$59320 := (5 + F(9))^3 + F(2) + 0$
$59321 := (5 + F(9))^3 + F(2) + 1$
$59322 := (5 + F(9))^3 + F(2) + 2$
$59323 := (5 + F(9))^3 + F(2) + 3$
$59324 := (5 + F(9))^3 + F(2) + 4$
$59325 := (5 + F(9))^3 + F(2) + 5$
$59326 := (5 + F(9))^3 + F(2) + 6$
$59327 := (5 + F(9))^3 + F(2) + 7$
$59328 := (5 + F(9))^3 + F(2) + 8$
$59329 := (5 + F(9))^3 + F(2) + 9$

$86920 := 8 \times (F(F(F(6))) - 9^2) + 0$
$86921 := 8 \times (F(F(F(6))) - 9^2) + 1$
$86922 := 8 \times (F(F(F(6))) - 9^2) + 2$
$86923 := 8 \times (F(F(F(6))) - 9^2) + 3$

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$$86924 := 8 \times (F(F(F(6))) - 9^2) + 4$$
$$86925 := 8 \times (F(F(F(6))) - 9^2) + 5$$
$$86926 := 8 \times (F(F(F(6))) - 9^2) + 6$$
$$86927 := 8 \times (F(F(F(6))) - 9^2) + 7$$
$$86928 := 8 \times (F(F(F(6))) - 9^2) + 8$$
$$86929 := 8 \times (F(F(F(6))) - 9^2) + 9$$

$$109370 := 10 \times (-9 + F(3 \times 7)) + 0$$
$$109371 := 10 \times (-9 + F(3 \times 7)) + 1$$
$$109372 := 10 \times (-9 + F(3 \times 7)) + 2$$
$$109373 := 10 \times (-9 + F(3 \times 7)) + 3$$
$$109374 := 10 \times (-9 + F(3 \times 7)) + 4$$
$$109375 := 10 \times (-9 + F(3 \times 7)) + 5$$
$$109376 := 10 \times (-9 + F(3 \times 7)) + 6$$
$$109377 := 10 \times (-9 + F(3 \times 7)) + 7$$
$$109378 := 10 \times (-9 + F(3 \times 7)) + 8$$
$$109379 := 10 \times (-9 + F(3 \times 7)) + 9$$

$$142130 := F(14)^2 + 1^3 + 0$$
$$142131 := F(14)^2 + 1^3 + 1$$
$$142132 := F(14)^2 + 1^3 + 2$$
$$142133 := F(14)^2 + 1^3 + 3$$
$$142134 := F(14)^2 + 1^3 + 4$$
$$142135 := F(14)^2 + 1^3 + 5$$
$$142136 := F(14)^2 + 1^3 + 6$$
$$142137 := F(14)^2 + 1^3 + 7$$
$$142138 := F(14)^2 + 1^3 + 8$$
$$142139 := F(14)^2 + 1^3 + 9$$

$$152500 := F(15) \times 250 + 0$$
$$152501 := F(15) \times 250 + 1$$
$$152502 := F(15) \times 250 + 2$$
$$152503 := F(15) \times 250 + 3$$
$$152504 := F(15) \times 250 + 4$$
$$152505 := F(15) \times 250 + 5$$
$$152506 := F(15) \times 250 + 6$$
$$152507 := F(15) \times 250 + 7$$
$$152508 := F(15) \times 250 + 8$$
$$152509 := F(15) \times 250 + 9$$

$$156260 := (1 + 5^6) \times (2 + F(6)) + 0$$
$$156261 := (1 + 5^6) \times (2 + F(6)) + 1$$
$$156262 := (1 + 5^6) \times (2 + F(6)) + 2$$
$$156263 := (1 + 5^6) \times (2 + F(6)) + 3$$
$$156264 := (1 + 5^6) \times (2 + F(6)) + 4$$
$$156265 := (1 + 5^6) \times (2 + F(6)) + 5$$
$$156266 := (1 + 5^6) \times (2 + F(6)) + 6$$
$$156267 := (1 + 5^6) \times (2 + F(6)) + 7$$
$$156268 := (1 + 5^6) \times (2 + F(6)) + 8$$
$$156269 := (1 + 5^6) \times (2 + F(6)) + 9$$

$$163850 := (-1 + 6) \times (F(3) + 8^5) + 0$$
$$163851 := (-1 + 6) \times (F(3) + 8^5) + 1$$
$$163852 := (-1 + 6) \times (F(3) + 8^5) + 2$$
$$163853 := (-1 + 6) \times (F(3) + 8^5) + 3$$
$$163854 := (-1 + 6) \times (F(3) + 8^5) + 4$$
$$163855 := (-1 + 6) \times (F(3) + 8^5) + 5$$
$$163856 := (-1 + 6) \times (F(3) + 8^5) + 6$$
$$163857 := (-1 + 6) \times (F(3) + 8^5) + 7$$
$$163858 := (-1 + 6) \times (F(3) + 8^5) + 8$$
$$163859 := (-1 + 6) \times (F(3) + 8^5) + 9$$

$$168920 := -1 + (F(6 + 8) + F(9))^2 + 0$$
$$168921 := -1 + (F(6 + 8) + F(9))^2 + 1$$
$$168922 := -1 + (F(6 + 8) + F(9))^2 + 2$$
$$168923 := -1 + (F(6 + 8) + F(9))^2 + 3$$
$$168924 := -1 + (F(6 + 8) + F(9))^2 + 4$$
$$168925 := -1 + (F(6 + 8) + F(9))^2 + 5$$
$$168926 := -1 + (F(6 + 8) + F(9))^2 + 6$$
$$168927 := -1 + (F(6 + 8) + F(9))^2 + 7$$
$$168928 := -1 + (F(6 + 8) + F(9))^2 + 8$$
$$168929 := -1 + (F(6 + 8) + F(9))^2 + 9$$

$$175630 := 1 + F(7) + 56^3 + 0$$
$$175631 := 1 + F(7) + 56^3 + 1$$
$$175632 := 1 + F(7) + 56^3 + 2$$

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$175633 := 1 + F(7) + 56^3 + 3$
$175634 := 1 + F(7) + 56^3 + 4$
$175635 := 1 + F(7) + 56^3 + 5$
$175636 := 1 + F(7) + 56^3 + 6$
$175637 := 1 + F(7) + 56^3 + 7$
$175638 := 1 + F(7) + 56^3 + 8$
$175639 := 1 + F(7) + 56^3 + 9$

$194470 := F(-1+9)^4 - 4 - 7 + 0$
$194471 := F(-1+9)^4 - 4 - 7 + 1$
$194472 := F(-1+9)^4 - 4 - 7 + 2$
$194473 := F(-1+9)^4 - 4 - 7 + 3$
$194474 := F(-1+9)^4 - 4 - 7 + 4$
$194475 := F(-1+9)^4 - 4 - 7 + 5$
$194476 := F(-1+9)^4 - 4 - 7 + 6$
$194477 := F(-1+9)^4 - 4 - 7 + 7$
$194478 := F(-1+9)^4 - 4 - 7 + 8$
$194479 := F(-1+9)^4 - 4 - 7 + 9$

$196560 := (1 - 9 + F(6)^5) \times 6 + 0$
$196561 := (1 - 9 + F(6)^5) \times 6 + 1$
$196562 := (1 - 9 + F(6)^5) \times 6 + 2$
$196563 := (1 - 9 + F(6)^5) \times 6 + 3$
$196564 := (1 - 9 + F(6)^5) \times 6 + 4$
$196565 := (1 - 9 + F(6)^5) \times 6 + 5$
$196566 := (1 - 9 + F(6)^5) \times 6 + 6$
$196567 := (1 - 9 + F(6)^5) \times 6 + 7$
$196568 := (1 - 9 + F(6)^5) \times 6 + 8$
$196569 := (1 - 9 + F(6)^5) \times 6 + 9$

$196830 := (1+9) \times (6 + F(8))^3 + 0$
$196831 := (1+9) \times (6 + F(8))^3 + 1$
$196832 := (1+9) \times (6 + F(8))^3 + 2$
$196833 := (1+9) \times (6 + F(8))^3 + 3$
$196834 := (1+9) \times (6 + F(8))^3 + 4$
$196835 := (1+9) \times (6 + F(8))^3 + 5$
$196836 := (1+9) \times (6 + F(8))^3 + 6$
$196837 := (1+9) \times (6 + F(8))^3 + 7$
$196838 := (1+9) \times (6 + F(8))^3 + 8$
$196839 := (1+9) \times (6 + F(8))^3 + 9$

$202950 := F(20) \times (F(2) + F(9)) - 5 + 0$
$202951 := F(20) \times (F(2) + F(9)) - 5 + 1$
$202952 := F(20) \times (F(2) + F(9)) - 5 + 2$
$202953 := F(20) \times (F(2) + F(9)) - 5 + 3$
$202954 := F(20) \times (F(2) + F(9)) - 5 + 4$
$202955 := F(20) \times (F(2) + F(9)) - 5 + 5$
$202956 := F(20) \times (F(2) + F(9)) - 5 + 6$
$202957 := F(20) \times (F(2) + F(9)) - 5 + 7$
$202958 := F(20) \times (F(2) + F(9)) - 5 + 8$
$202959 := F(20) \times (F(2) + F(9)) - 5 + 9$

$231840 := F(23+1) \times (8 - F(4)) + 0$
$231841 := F(23+1) \times (8 - F(4)) + 1$
$231842 := F(23+1) \times (8 - F(4)) + 2$
$231843 := F(23+1) \times (8 - F(4)) + 3$
$231844 := F(23+1) \times (8 - F(4)) + 4$
$231845 := F(23+1) \times (8 - F(4)) + 5$
$231846 := F(23+1) \times (8 - F(4)) + 6$
$231847 := F(23+1) \times (8 - F(4)) + 7$
$231848 := F(23+1) \times (8 - F(4)) + 8$
$231849 := F(23+1) \times (8 - F(4)) + 9$

$233490 := -F(23) + 3 + 4^9 + 0$
$233491 := -F(23) + 3 + 4^9 + 1$
$233492 := -F(23) + 3 + 4^9 + 2$
$233493 := -F(23) + 3 + 4^9 + 3$
$233494 := -F(23) + 3 + 4^9 + 4$
$233495 := -F(23) + 3 + 4^9 + 5$
$233496 := -F(23) + 3 + 4^9 + 6$
$233497 := -F(23) + 3 + 4^9 + 7$
$233498 := -F(23) + 3 + 4^9 + 8$
$233499 := -F(23) + 3 + 4^9 + 9$

$278290 := (2^{F(7)} - 8 + F(2)) \times F(9) + 0$
$278291 := (2^{F(7)} - 8 + F(2)) \times F(9) + 1$

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$278292 := (2^{F(7)} - 8 + F(2)) \times F(9) + 2$
$278293 := (2^{F(7)} - 8 + F(2)) \times F(9) + 3$
$278294 := (2^{F(7)} - 8 + F(2)) \times F(9) + 4$
$278295 := (2^{F(7)} - 8 + F(2)) \times F(9) + 5$
$278296 := (2^{F(7)} - 8 + F(2)) \times F(9) + 6$
$278297 := (2^{F(7)} - 8 + F(2)) \times F(9) + 7$
$278298 := (2^{F(7)} - 8 + F(2)) \times F(9) + 8$
$278299 := (2^{F(7)} - 8 + F(2)) \times F(9) + 9$

$238330 := (-F(2) + 3 \times F(8))^3 + F(3) + 0$
$238331 := (-F(2) + 3 \times F(8))^3 + F(3) + 1$
$238332 := (-F(2) + 3 \times F(8))^3 + F(3) + 2$
$238333 := (-F(2) + 3 \times F(8))^3 + F(3) + 3$
$238334 := (-F(2) + 3 \times F(8))^3 + F(3) + 4$
$238335 := (-F(2) + 3 \times F(8))^3 + F(3) + 5$
$238336 := (-F(2) + 3 \times F(8))^3 + F(3) + 6$
$238337 := (-F(2) + 3 \times F(8))^3 + F(3) + 7$
$238338 := (-F(2) + 3 \times F(8))^3 + F(3) + 8$
$238339 := (-F(2) + 3 \times F(8))^3 + F(3) + 9$

$279840 := -F(2) + (-7 + 9 + F(8))^4 + 0$
$279841 := -F(2) + (-7 + 9 + F(8))^4 + 1$
$279842 := -F(2) + (-7 + 9 + F(8))^4 + 2$
$279843 := -F(2) + (-7 + 9 + F(8))^4 + 3$
$279844 := -F(2) + (-7 + 9 + F(8))^4 + 4$
$279845 := -F(2) + (-7 + 9 + F(8))^4 + 5$
$279846 := -F(2) + (-7 + 9 + F(8))^4 + 6$
$279847 := -F(2) + (-7 + 9 + F(8))^4 + 7$
$279848 := -F(2) + (-7 + 9 + F(8))^4 + 8$
$279849 := -F(2) + (-7 + 9 + F(8))^4 + 9$

$279990 := (2^{F(7)} + 9 + F(9)) \times F(9) + 0$
$279991 := (2^{F(7)} + 9 + F(9)) \times F(9) + 1$
$279992 := (2^{F(7)} + 9 + F(9)) \times F(9) + 2$
$279993 := (2^{F(7)} + 9 + F(9)) \times F(9) + 3$
$279994 := (2^{F(7)} + 9 + F(9)) \times F(9) + 4$
$279995 := (2^{F(7)} + 9 + F(9)) \times F(9) + 5$
$279996 := (2^{F(7)} + 9 + F(9)) \times F(9) + 6$
$279997 := (2^{F(7)} + 9 + F(9)) \times F(9) + 7$
$279998 := (2^{F(7)} + 9 + F(9)) \times F(9) + 8$
$279999 := (2^{F(7)} + 9 + F(9)) \times F(9) + 9$

$295240 := (-F(2) + 9^5) \times (2 + F(4)) + 0$
$295241 := (-F(2) + 9^5) \times (2 + F(4)) + 1$
$295242 := (-F(2) + 9^5) \times (2 + F(4)) + 2$
$295243 := (-F(2) + 9^5) \times (2 + F(4)) + 3$
$295244 := (-F(2) + 9^5) \times (2 + F(4)) + 4$
$295245 := (-F(2) + 9^5) \times (2 + F(4)) + 5$
$295246 := (-F(2) + 9^5) \times (2 + F(4)) + 6$
$295247 := (-F(2) + 9^5) \times (2 + F(4)) + 7$
$295248 := (-F(2) + 9^5) \times (2 + F(4)) + 8$
$295249 := (-F(2) + 9^5) \times (2 + F(4)) + 9$

$295250 := (-F(2) + 9^5 + 2) \times 5 + 0$
$295251 := (-F(2) + 9^5 + 2) \times 5 + 1$
$295252 := (-F(2) + 9^5 + 2) \times 5 + 2$
$295253 := (-F(2) + 9^5 + 2) \times 5 + 3$
$295254 := (-F(2) + 9^5 + 2) \times 5 + 4$
$295255 := (-F(2) + 9^5 + 2) \times 5 + 5$
$295256 := (-F(2) + 9^5 + 2) \times 5 + 6$
$295257 := (-F(2) + 9^5 + 2) \times 5 + 7$
$295258 := (-F(2) + 9^5 + 2) \times 5 + 8$
$295259 := (-F(2) + 9^5 + 2) \times 5 + 9$

$327560 := (-3 + 2^{F(7)}) \times 5 \times F(6) + 0$
$327561 := (-3 + 2^{F(7)}) \times 5 \times F(6) + 1$
$327562 := (-3 + 2^{F(7)}) \times 5 \times F(6) + 2$
$327563 := (-3 + 2^{F(7)}) \times 5 \times F(6) + 3$
$327564 := (-3 + 2^{F(7)}) \times 5 \times F(6) + 4$
$327565 := (-3 + 2^{F(7)}) \times 5 \times F(6) + 5$
$327566 := (-3 + 2^{F(7)}) \times 5 \times F(6) + 6$
$327567 := (-3 + 2^{F(7)}) \times 5 \times F(6) + 7$

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$327568 := (-3+2^{F(7)}) \times 5 \times F(6)+8$
$327569 := (-3+2^{F(7)}) \times 5 \times F(6)+9$

$365470 := -F(3)+6^5 \times 47+0$
$365471 := -F(3)+6^5 \times 47+1$
$365472 := -F(3)+6^5 \times 47+2$
$365473 := -F(3)+6^5 \times 47+3$
$365474 := -F(3)+6^5 \times 47+4$
$365475 := -F(3)+6^5 \times 47+5$
$365476 := -F(3)+6^5 \times 47+6$
$365477 := -F(3)+6^5 \times 47+7$
$365478 := -F(3)+6^5 \times 47+8$
$365479 := -F(3)+6^5 \times 47+9$

$372190 := F(3) \times F(7)+F(21) \times F(9)+0$
$372191 := F(3) \times F(7)+F(21) \times F(9)+1$
$372192 := F(3) \times F(7)+F(21) \times F(9)+2$
$372193 := F(3) \times F(7)+F(21) \times F(9)+3$
$372194 := F(3) \times F(7)+F(21) \times F(9)+4$
$372195 := F(3) \times F(7)+F(21) \times F(9)+5$
$372196 := F(3) \times F(7)+F(21) \times F(9)+6$
$372197 := F(3) \times F(7)+F(21) \times F(9)+7$
$372198 := F(3) \times F(7)+F(21) \times F(9)+8$
$372199 := F(3) \times F(7)+F(21) \times F(9)+9$

$372370 := -F(3)+(-F(7)+F(23)) \times F(7)+0$
$372371 := -F(3)+(-F(7)+F(23)) \times F(7)+1$
$372372 := -F(3)+(-F(7)+F(23)) \times F(7)+2$
$372373 := -F(3)+(-F(7)+F(23)) \times F(7)+3$
$372374 := -F(3)+(-F(7)+F(23)) \times F(7)+4$
$372375 := -F(3)+(-F(7)+F(23)) \times F(7)+5$
$372376 := -F(3)+(-F(7)+F(23)) \times F(7)+6$
$372377 := -F(3)+(-F(7)+F(23)) \times F(7)+7$
$372378 := -F(3)+(-F(7)+F(23)) \times F(7)+8$
$372379 := -F(3)+(-F(7)+F(23)) \times F(7)+9$

$392760 := F(3 \times 9) \times 2-76+0$
$392761 := F(3 \times 9) \times 2-76+1$
$392762 := F(3 \times 9) \times 2-76+2$
$392763 := F(3 \times 9) \times 2-76+3$
$392764 := F(3 \times 9) \times 2-76+4$
$392765 := F(3 \times 9) \times 2-76+5$
$392766 := F(3 \times 9) \times 2-76+6$
$392767 := F(3 \times 9) \times 2-76+7$
$392768 := F(3 \times 9) \times 2-76+8$
$392769 := F(3 \times 9) \times 2-76+9$

$393660 := 3^9 \times (F(3) \times 6+F(6))+0$
$393661 := 3^9 \times (F(3) \times 6+F(6))+1$
$393662 := 3^9 \times (F(3) \times 6+F(6))+2$
$393663 := 3^9 \times (F(3) \times 6+F(6))+3$
$393664 := 3^9 \times (F(3) \times 6+F(6))+4$
$393665 := 3^9 \times (F(3) \times 6+F(6))+5$
$393666 := 3^9 \times (F(3) \times 6+F(6))+6$
$393667 := 3^9 \times (F(3) \times 6+F(6))+7$
$393668 := 3^9 \times (F(3) \times 6+F(6))+8$
$393669 := 3^9 \times (F(3) \times 6+F(6))+9$

$416020 := F((4+1) \times 6)/02+0$
$416021 := F((4+1) \times 6)/02+1$
$416022 := F((4+1) \times 6)/02+2$
$416023 := F((4+1) \times 6)/02+3$
$416024 := F((4+1) \times 6)/02+4$
$416025 := F((4+1) \times 6)/02+5$
$416026 := F((4+1) \times 6)/02+6$
$416027 := F((4+1) \times 6)/02+7$
$416028 := F((4+1) \times 6)/02+8$
$416029 := F((4+1) \times 6)/02+9$

$470680 := 4 \times (7^{06}+F(8))+0$
$470681 := 4 \times (7^{06}+F(8))+1$
$470682 := 4 \times (7^{06}+F(8))+2$
$470683 := 4 \times (7^{06}+F(8))+3$
$470684 := 4 \times (7^{06}+F(8))+4$
$470685 := 4 \times (7^{06}+F(8))+5$
$470686 := 4 \times (7^{06}+F(8))+6$
$470687 := 4 \times (7^{06}+F(8))+7$

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$$470688 := 4 \times (7^{06} + F(8)) + 8$$
$$470689 := 4 \times (7^{06} + F(8)) + 9$$

$$524880 := 5 \times 2 \times F(4)^8 \times 8 + 0$$
$$524881 := 5 \times 2 \times F(4)^8 \times 8 + 1$$
$$524882 := 5 \times 2 \times F(4)^8 \times 8 + 2$$
$$524883 := 5 \times 2 \times F(4)^8 \times 8 + 3$$
$$524884 := 5 \times 2 \times F(4)^8 \times 8 + 4$$
$$524885 := 5 \times 2 \times F(4)^8 \times 8 + 5$$
$$524886 := 5 \times 2 \times F(4)^8 \times 8 + 6$$
$$524887 := 5 \times 2 \times F(4)^8 \times 8 + 7$$
$$524888 := 5 \times 2 \times F(4)^8 \times 8 + 8$$
$$524889 := 5 \times 2 \times F(4)^8 \times 8 + 9$$

$$557370 := -5 + (5 \times 7)^3 \times F(7) + 0$$
$$557371 := -5 + (5 \times 7)^3 \times F(7) + 1$$
$$557372 := -5 + (5 \times 7)^3 \times F(7) + 2$$
$$557373 := -5 + (5 \times 7)^3 \times F(7) + 3$$
$$557374 := -5 + (5 \times 7)^3 \times F(7) + 4$$
$$557375 := -5 + (5 \times 7)^3 \times F(7) + 5$$
$$557376 := -5 + (5 \times 7)^3 \times F(7) + 6$$
$$557377 := -5 + (5 \times 7)^3 \times F(7) + 7$$
$$557378 := -5 + (5 \times 7)^3 \times F(7) + 8$$
$$557379 := -5 + (5 \times 7)^3 \times F(7) + 9$$

$$589440 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 0$$
$$589441 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 1$$
$$589442 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 2$$
$$589443 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 3$$
$$589444 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 4$$
$$589445 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 5$$
$$589446 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 6$$
$$589447 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 7$$
$$589448 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 8$$
$$589449 := 5 \times (-8 + F(9)^{F(4)}) \times F(4) + 9$$

$$593190 := (5 + F(9))^3 \times (1 + 9) + 0$$
$$593191 := (5 + F(9))^3 \times (1 + 9) + 1$$
$$593192 := (5 + F(9))^3 \times (1 + 9) + 2$$
$$593193 := (5 + F(9))^3 \times (1 + 9) + 3$$
$$593194 := (5 + F(9))^3 \times (1 + 9) + 4$$
$$593195 := (5 + F(9))^3 \times (1 + 9) + 5$$
$$593196 := (5 + F(9))^3 \times (1 + 9) + 6$$
$$593197 := (5 + F(9))^3 \times (1 + 9) + 7$$
$$593198 := (5 + F(9))^3 \times (1 + 9) + 8$$
$$593199 := (5 + F(9))^3 \times (1 + 9) + 9$$

$$638640 := F(6 \times 3) + 86^{F(4)} + 0$$
$$638641 := F(6 \times 3) + 86^{F(4)} + 1$$
$$638642 := F(6 \times 3) + 86^{F(4)} + 2$$
$$638643 := F(6 \times 3) + 86^{F(4)} + 3$$
$$638644 := F(6 \times 3) + 86^{F(4)} + 4$$
$$638645 := F(6 \times 3) + 86^{F(4)} + 5$$
$$638646 := F(6 \times 3) + 86^{F(4)} + 6$$
$$638647 := F(6 \times 3) + 86^{F(4)} + 7$$
$$638648 := F(6 \times 3) + 86^{F(4)} + 8$$
$$638649 := F(6 \times 3) + 86^{F(4)} + 9$$

$$655360 := F(6)^5 \times 5/F(3) \times F(6) + 0$$
$$655361 := F(6)^5 \times 5/F(3) \times F(6) + 1$$
$$655362 := F(6)^5 \times 5/F(3) \times F(6) + 2$$
$$655363 := F(6)^5 \times 5/F(3) \times F(6) + 3$$
$$655364 := F(6)^5 \times 5/F(3) \times F(6) + 4$$
$$655365 := F(6)^5 \times 5/F(3) \times F(6) + 5$$
$$655366 := F(6)^5 \times 5/F(3) \times F(6) + 6$$
$$655367 := F(6)^5 \times 5/F(3) \times F(6) + 7$$
$$655368 := F(6)^5 \times 5/F(3) \times F(6) + 8$$
$$655369 := F(6)^5 \times 5/F(3) \times F(6) + 9$$

$$747740 := (-7 + F(4)^7) \times 7^{F(4)} + 0$$
$$747741 := (-7 + F(4)^7) \times 7^{F(4)} + 1$$
$$747742 := (-7 + F(4)^7) \times 7^{F(4)} + 2$$

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$747743 := (-7 + F(4)^7) \times 7^{F(4)} + 3$
$747744 := (-7 + F(4)^7) \times 7^{F(4)} + 4$
$747745 := (-7 + F(4)^7) \times 7^{F(4)} + 5$
$747746 := (-7 + F(4)^7) \times 7^{F(4)} + 6$
$747747 := (-7 + F(4)^7) \times 7^{F(4)} + 7$
$747748 := (-7 + F(4)^7) \times 7^{F(4)} + 8$
$747749 := (-7 + F(4)^7) \times 7^{F(4)} + 9$

$786410 := (-7 + 8^6) \times F(4) - 1 + 0$
$786411 := (-7 + 8^6) \times F(4) - 1 + 1$
$786412 := (-7 + 8^6) \times F(4) - 1 + 2$
$786413 := (-7 + 8^6) \times F(4) - 1 + 3$
$786414 := (-7 + 8^6) \times F(4) - 1 + 4$
$786415 := (-7 + 8^6) \times F(4) - 1 + 5$
$786416 := (-7 + 8^6) \times F(4) - 1 + 6$
$786417 := (-7 + 8^6) \times F(4) - 1 + 7$
$786418 := (-7 + 8^6) \times F(4) - 1 + 8$
$786419 := (-7 + 8^6) \times F(4) - 1 + 9$

$786450 := F(7) + 8^6 \times F(4) + 5 + 0$
$786451 := F(7) + 8^6 \times F(4) + 5 + 1$
$786452 := F(7) + 8^6 \times F(4) + 5 + 2$
$786453 := F(7) + 8^6 \times F(4) + 5 + 3$
$786454 := F(7) + 8^6 \times F(4) + 5 + 4$
$786455 := F(7) + 8^6 \times F(4) + 5 + 5$
$786456 := F(7) + 8^6 \times F(4) + 5 + 6$
$786457 := F(7) + 8^6 \times F(4) + 5 + 7$
$786458 := F(7) + 8^6 \times F(4) + 5 + 8$
$786459 := F(7) + 8^6 \times F(4) + 5 + 9$

$833490 := F(8)^3 \times (3^4 + 9) + 0$
$833491 := F(8)^3 \times (3^4 + 9) + 1$
$833492 := F(8)^3 \times (3^4 + 9) + 2$
$833493 := F(8)^3 \times (3^4 + 9) + 3$
$833494 := F(8)^3 \times (3^4 + 9) + 4$
$833495 := F(8)^3 \times (3^4 + 9) + 5$
$833496 := F(8)^3 \times (3^4 + 9) + 6$
$833497 := F(8)^3 \times (3^4 + 9) + 7$
$833498 := F(8)^3 \times (3^4 + 9) + 8$
$833499 := F(8)^3 \times (3^4 + 9) + 9$

$841300 := F(8)^{F(4)} - 1 + F(30) + 0$
$841301 := F(8)^{F(4)} - 1 + F(30) + 1$
$841302 := F(8)^{F(4)} - 1 + F(30) + 2$
$841303 := F(8)^{F(4)} - 1 + F(30) + 3$
$841304 := F(8)^{F(4)} - 1 + F(30) + 4$
$841305 := F(8)^{F(4)} - 1 + F(30) + 5$
$841306 := F(8)^{F(4)} - 1 + F(30) + 6$
$841307 := F(8)^{F(4)} - 1 + F(30) + 7$
$841308 := F(8)^{F(4)} - 1 + F(30) + 8$
$841309 := F(8)^{F(4)} - 1 + F(30) + 9$

$896700 := F(8) \times F(9 + 6) \times 70 + 0$
$896701 := F(8) \times F(9 + 6) \times 70 + 1$
$896702 := F(8) \times F(9 + 6) \times 70 + 2$
$896703 := F(8) \times F(9 + 6) \times 70 + 3$
$896704 := F(8) \times F(9 + 6) \times 70 + 4$
$896705 := F(8) \times F(9 + 6) \times 70 + 5$
$896706 := F(8) \times F(9 + 6) \times 70 + 6$
$896707 := F(8) \times F(9 + 6) \times 70 + 7$
$896708 := F(8) \times F(9 + 6) \times 70 + 8$
$896709 := F(8) \times F(9 + 6) \times 70 + 9$

$920040 := F(9) \times F(20) \times 04 + 0$
$920041 := F(9) \times F(20) \times 04 + 1$
$920042 := F(9) \times F(20) \times 04 + 2$
$920043 := F(9) \times F(20) \times 04 + 3$
$920044 := F(9) \times F(20) \times 04 + 4$
$920045 := F(9) \times F(20) \times 04 + 5$
$920046 := F(9) \times F(20) \times 04 + 6$
$920047 := F(9) \times F(20) \times 04 + 7$
$920048 := F(9) \times F(20) \times 04 + 8$
$920049 := F(9) \times F(20) \times 04 + 9$

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$$943280 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 0$$
$$943281 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 1$$
$$943282 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 2$$
$$943283 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 3$$
$$943284 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 4$$
$$943285 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 5$$
$$943286 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 6$$
$$943287 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 7$$
$$943288 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 8$$
$$943289 := (F(9)^{F(4)} \times 3 - 2) \times 8 + 9$$

$$972740 := F(9) \times (7^2 + F(7)^4) + 0$$
$$972741 := F(9) \times (7^2 + F(7)^4) + 1$$
$$972742 := F(9) \times (7^2 + F(7)^4) + 2$$
$$972743 := F(9) \times (7^2 + F(7)^4) + 3$$
$$972744 := F(9) \times (7^2 + F(7)^4) + 4$$
$$972745 := F(9) \times (7^2 + F(7)^4) + 5$$
$$972746 := F(9) \times (7^2 + F(7)^4) + 6$$
$$972747 := F(9) \times (7^2 + F(7)^4) + 7$$
$$972748 := F(9) \times (7^2 + F(7)^4) + 8$$
$$972749 := F(9) \times (7^2 + F(7)^4) + 9$$

$$973980 := F(9+7)^{F(3)} - 9 \times F(8) + 0$$
$$973981 := F(9+7)^{F(3)} - 9 \times F(8) + 1$$
$$973982 := F(9+7)^{F(3)} - 9 \times F(8) + 2$$
$$973983 := F(9+7)^{F(3)} - 9 \times F(8) + 3$$
$$973984 := F(9+7)^{F(3)} - 9 \times F(8) + 4$$
$$973985 := F(9+7)^{F(3)} - 9 \times F(8) + 5$$
$$973986 := F(9+7)^{F(3)} - 9 \times F(8) + 6$$
$$973987 := F(9+7)^{F(3)} - 9 \times F(8) + 7$$
$$973988 := F(9+7)^{F(3)} - 9 \times F(8) + 8$$
$$973989 := F(9+7)^{F(3)} - 9 \times F(8) + 9$$

3.2.2 With Factorial

$$11880 := (-1 + F(-1+8))!/8! + 0$$
$$11881 := (-1 + F(-1+8))!/8! + 1$$
$$11882 := (-1 + F(-1+8))!/8! + 2$$
$$11883 := (-1 + F(-1+8))!/8! + 3$$
$$11884 := (-1 + F(-1+8))!/8! + 4$$
$$11885 := (-1 + F(-1+8))!/8! + 5$$
$$11886 := (-1 + F(-1+8))!/8! + 6$$
$$11887 := (-1 + F(-1+8))!/8! + 7$$
$$11888 := (-1 + F(-1+8))!/8! + 8$$
$$11889 := (-1 + F(-1+8))!/8! + 9$$

$$13440 := (1+3+4)!/F(4) + 0$$
$$13441 := (1+3+4)!/F(4) + 1$$
$$13442 := (1+3+4)!/F(4) + 2$$
$$13443 := (1+3+4)!/F(4) + 3$$
$$13444 := (1+3+4)!/F(4) + 4$$
$$13445 := (1+3+4)!/F(4) + 5$$
$$13446 := (1+3+4)!/F(4) + 6$$
$$13447 := (1+3+4)!/F(4) + 7$$
$$13448 := (1+3+4)!/F(4) + 8$$
$$13449 := (1+3+4)!/F(4) + 9$$

$$13460 := -1 + (F(3!))!/F(4) + F(F(6)) + 0$$
$$13461 := -1 + (F(3!))!/F(4) + F(F(6)) + 1$$
$$13462 := -1 + (F(3!))!/F(4) + F(F(6)) + 2$$
$$13463 := -1 + (F(3!))!/F(4) + F(F(6)) + 3$$
$$13464 := -1 + (F(3!))!/F(4) + F(F(6)) + 4$$
$$13465 := -1 + (F(3!))!/F(4) + F(F(6)) + 5$$
$$13466 := -1 + (F(3!))!/F(4) + F(F(6)) + 6$$
$$13467 := -1 + (F(3!))!/F(4) + F(F(6)) + 7$$
$$13468 := -1 + (F(3!))!/F(4) + F(F(6)) + 8$$
$$13469 := -1 + (F(3!))!/F(4) + F(F(6)) + 9$$

$$14330 := (F(-1+4!) + 3)/F(3) + 0$$
$$14331 := (F(-1+4!) + 3)/F(3) + 1$$
$$14332 := (F(-1+4!) + 3)/F(3) + 2$$
$$14333 := (F(-1+4!) + 3)/F(3) + 3$$
$$14334 := (F(-1+4!) + 3)/F(3) + 4$$

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14335 $:= (F(-1+4!)+3)/F(3)+5$
14336 $:= (F(-1+4!)+3)/F(3)+6$
14337 $:= (F(-1+4!)+3)/F(3)+7$
14338 $:= (F(-1+4!)+3)/F(3)+8$
14339 $:= (F(-1+4!)+3)/F(3)+9$

14400 $:= (1+4)!^{F(F(4))}+00$
14401 $:= (1+4)!^{F(F(4))}+01$
14402 $:= (1+4)!^{F(F(4))}+02$
14403 $:= (1+4)!^{F(F(4))}+03$
14404 $:= (1+4)!^{F(F(4))}+04$
14405 $:= (1+4)!^{F(F(4))}+05$
14406 $:= (1+4)!^{F(F(4))}+06$
14407 $:= (1+4)!^{F(F(4))}+07$
14408 $:= (1+4)!^{F(F(4))}+08$
14409 $:= (1+4)!^{F(F(4))}+09$
14410 $:= (1+4)!^{F(F(4))}+10$
14411 $:= (1+4)!^{F(F(4))}+11$
14412 $:= (1+4)!^{F(F(4))}+12$
14413 $:= (1+4)!^{F(F(4))}+13$
14414 $:= (1+4)!^{F(F(4))}+14$
14415 $:= (1+4)!^{F(F(4))}+15$
14416 $:= (1+4)!^{F(F(4))}+16$
14417 $:= (1+4)!^{F(F(4))}+17$
14418 $:= (1+4)!^{F(F(4))}+18$
14419 $:= (1+4)!^{F(F(4))}+19$
14420 $:= (1+4)!^{F(F(4))}+20$
14421 $:= (1+4)!^{F(F(4))}+21$
14422 $:= (1+4)!^{F(F(4))}+22$
14423 $:= (1+4)!^{F(F(4))}+23$
14424 $:= (1+4)!^{F(F(4))}+24$
14425 $:= (1+4)!^{F(F(4))}+25$
14426 $:= (1+4)!^{F(F(4))}+26$
14427 $:= (1+4)!^{F(F(4))}+27$
14428 $:= (1+4)!^{F(F(4))}+28$
14429 $:= (1+4)!^{F(F(4))}+29$
14430 $:= (1+4)!^{F(F(4))}+30$
14431 $:= (1+4)!^{F(F(4))}+31$
14432 $:= (1+4)!^{F(F(4))}+32$
14433 $:= (1+4)!^{F(F(4))}+33$
14434 $:= (1+4)!^{F(F(4))}+34$
14435 $:= (1+4)!^{F(F(4))}+35$
14436 $:= (1+4)!^{F(F(4))}+36$
14437 $:= (1+4)!^{F(F(4))}+37$
14438 $:= (1+4)!^{F(F(4))}+38$
14439 $:= (1+4)!^{F(F(4))}+39$
14440 $:= (1+4)!^{F(F(4))}+40$
14441 $:= (1+4)!^{F(F(4))}+41$
14442 $:= (1+4)!^{F(F(4))}+42$
14443 $:= (1+4)!^{F(F(4))}+43$
14444 $:= (1+4)!^{F(F(4))}+44$
14445 $:= (1+4)!^{F(F(4))}+45$
14446 $:= (1+4)!^{F(F(4))}+46$
14447 $:= (1+4)!^{F(F(4))}+47$
14448 $:= (1+4)!^{F(F(4))}+48$
14449 $:= (1+4)!^{F(F(4))}+49$
14450 $:= (1+4)!^{F(F(4))}+50$
14451 $:= (1+4)!^{F(F(4))}+51$
14452 $:= (1+4)!^{F(F(4))}+52$
14453 $:= (1+4)!^{F(F(4))}+53$
14454 $:= (1+4)!^{F(F(4))}+54$
14455 $:= (1+4)!^{F(F(4))}+55$
14456 $:= (1+4)!^{F(F(4))}+56$
14457 $:= (1+4)!^{F(F(4))}+57$
14458 $:= (1+4)!^{F(F(4))}+58$
14459 $:= (1+4)!^{F(F(4))}+59$
14460 $:= (1+4)!^{F(F(4))}+60$
14461 $:= (1+4)!^{F(F(4))}+61$
14462 $:= (1+4)!^{F(F(4))}+62$
14463 $:= (1+4)!^{F(F(4))}+63$
14464 $:= (1+4)!^{F(F(4))}+64$

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$$\mathbf{14465} := (1+4)!^{F(F(4))} + 65$$
$$\mathbf{14466} := (1+4)!^{F(F(4))} + 66$$
$$\mathbf{14467} := (1+4)!^{F(F(4))} + 67$$
$$\mathbf{14468} := (1+4)!^{F(F(4))} + 68$$
$$\mathbf{14469} := (1+4)!^{F(F(4))} + 69$$
$$\mathbf{14470} := (1+4)!^{F(F(4))} + 70$$
$$\mathbf{14471} := (1+4)!^{F(F(4))} + 71$$
$$\mathbf{14472} := (1+4)!^{F(F(4))} + 72$$
$$\mathbf{14473} := (1+4)!^{F(F(4))} + 73$$
$$\mathbf{14474} := (1+4)!^{F(F(4))} + 74$$
$$\mathbf{14475} := (1+4)!^{F(F(4))} + 75$$
$$\mathbf{14476} := (1+4)!^{F(F(4))} + 76$$
$$\mathbf{14477} := (1+4)!^{F(F(4))} + 77$$
$$\mathbf{14478} := (1+4)!^{F(F(4))} + 78$$
$$\mathbf{14479} := (1+4)!^{F(F(4))} + 79$$
$$\mathbf{14480} := (1+4)!^{F(F(4))} + 80$$
$$\mathbf{14481} := (1+4)!^{F(F(4))} + 81$$
$$\mathbf{14482} := (1+4)!^{F(F(4))} + 82$$
$$\mathbf{14483} := (1+4)!^{F(F(4))} + 83$$
$$\mathbf{14484} := (1+4)!^{F(F(4))} + 84$$
$$\mathbf{14485} := (1+4)!^{F(F(4))} + 85$$
$$\mathbf{14486} := (1+4)!^{F(F(4))} + 86$$
$$\mathbf{14487} := (1+4)!^{F(F(4))} + 87$$
$$\mathbf{14488} := (1+4)!^{F(F(4))} + 88$$
$$\mathbf{14489} := (1+4)!^{F(F(4))} + 89$$
$$\mathbf{14490} := (1+4)!^{F(F(4))} + 90$$
$$\mathbf{14491} := (1+4)!^{F(F(4))} + 91$$
$$\mathbf{14492} := (1+4)!^{F(F(4))} + 92$$
$$\mathbf{14493} := (1+4)!^{F(F(4))} + 93$$
$$\mathbf{14494} := (1+4)!^{F(F(4))} + 94$$
$$\mathbf{14495} := (1+4)!^{F(F(4))} + 95$$
$$\mathbf{14496} := (1+4)!^{F(F(4))} + 96$$
$$\mathbf{14497} := (1+4)!^{F(F(4))} + 97$$
$$\mathbf{14498} := (1+4)!^{F(F(4))} + 98$$
$$\mathbf{14499} := (1+4)!^{F(F(4))} + 99$$

$$\mathbf{14930} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 0$$
$$\mathbf{14931} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 1$$
$$\mathbf{14932} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 2$$
$$\mathbf{14933} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 3$$
$$\mathbf{14934} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 4$$
$$\mathbf{14935} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 5$$
$$\mathbf{14936} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 6$$
$$\mathbf{14937} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 7$$
$$\mathbf{14938} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 8$$
$$\mathbf{14939} := -1 + ((F(4)!)! - 9) \times F(F(3!)) + 9$$

$$\mathbf{15120} := F(F(1+5)) \times (1+2)!! + 0$$
$$\mathbf{15121} := F(F(1+5)) \times (1+2)!! + 1$$
$$\mathbf{15122} := F(F(1+5)) \times (1+2)!! + 2$$
$$\mathbf{15123} := F(F(1+5)) \times (1+2)!! + 3$$
$$\mathbf{15124} := F(F(1+5)) \times (1+2)!! + 4$$
$$\mathbf{15125} := F(F(1+5)) \times (1+2)!! + 5$$
$$\mathbf{15126} := F(F(1+5)) \times (1+2)!! + 6$$
$$\mathbf{15127} := F(F(1+5)) \times (1+2)!! + 7$$
$$\mathbf{15128} := F(F(1+5)) \times (1+2)!! + 8$$
$$\mathbf{15129} := F(F(1+5)) \times (1+2)!! + 9$$

$$\mathbf{15360} := (F(1+5))! \times F(3!)/F(F(6)) + 0$$
$$\mathbf{15361} := (F(1+5))! \times F(3!)/F(F(6)) + 1$$
$$\mathbf{15362} := (F(1+5))! \times F(3!)/F(F(6)) + 2$$
$$\mathbf{15363} := (F(1+5))! \times F(3!)/F(F(6)) + 3$$
$$\mathbf{15364} := (F(1+5))! \times F(3!)/F(F(6)) + 4$$
$$\mathbf{15365} := (F(1+5))! \times F(3!)/F(F(6)) + 5$$
$$\mathbf{15366} := (F(1+5))! \times F(3!)/F(F(6)) + 6$$
$$\mathbf{15367} := (F(1+5))! \times F(3!)/F(F(6)) + 7$$
$$\mathbf{15368} := (F(1+5))! \times F(3!)/F(F(6)) + 8$$
$$\mathbf{15369} := (F(1+5))! \times F(3!)/F(F(6)) + 9$$

$$\mathbf{15730} := F(15) + 7! \times 3 + 0$$
$$\mathbf{15731} := F(15) + 7! \times 3 + 1$$
$$\mathbf{15732} := F(15) + 7! \times 3 + 2$$
$$\mathbf{15733} := F(15) + 7! \times 3 + 3$$
$$\mathbf{15734} := F(15) + 7! \times 3 + 4$$
$$\mathbf{15735} := F(15) + 7! \times 3 + 5$$

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$$\mathbf{15736} := F(15) + 7! \times 3 + 6$$
$$\mathbf{15737} := F(15) + 7! \times 3 + 7$$
$$\mathbf{15738} := F(15) + 7! \times 3 + 8$$
$$\mathbf{15739} := F(15) + 7! \times 3 + 9$$

$$\mathbf{17160} := 1 \times F(7)!/(1 + F(6))! + 0$$
$$\mathbf{17161} := 1 \times F(7)!/(1 + F(6))! + 1$$
$$\mathbf{17162} := 1 \times F(7)!/(1 + F(6))! + 2$$
$$\mathbf{17163} := 1 \times F(7)!/(1 + F(6))! + 3$$
$$\mathbf{17164} := 1 \times F(7)!/(1 + F(6))! + 4$$
$$\mathbf{17165} := 1 \times F(7)!/(1 + F(6))! + 5$$
$$\mathbf{17166} := 1 \times F(7)!/(1 + F(6))! + 6$$
$$\mathbf{17167} := 1 \times F(7)!/(1 + F(6))! + 7$$
$$\mathbf{17168} := 1 \times F(7)!/(1 + F(6))! + 8$$
$$\mathbf{17169} := 1 \times F(7)!/(1 + F(6))! + 9$$

$$\mathbf{17280} := (1 \times 7 + 2)!/F(8) + 0$$
$$\mathbf{17281} := (1 \times 7 + 2)!/F(8) + 1$$
$$\mathbf{17282} := (1 \times 7 + 2)!/F(8) + 2$$
$$\mathbf{17283} := (1 \times 7 + 2)!/F(8) + 3$$
$$\mathbf{17284} := (1 \times 7 + 2)!/F(8) + 4$$
$$\mathbf{17285} := (1 \times 7 + 2)!/F(8) + 5$$
$$\mathbf{17286} := (1 \times 7 + 2)!/F(8) + 6$$
$$\mathbf{17287} := (1 \times 7 + 2)!/F(8) + 7$$
$$\mathbf{17288} := (1 \times 7 + 2)!/F(8) + 8$$
$$\mathbf{17289} := (1 \times 7 + 2)!/F(8) + 9$$

$$\mathbf{21930} := 2 \times (19 + F(F(F(3!)))) + 0$$
$$\mathbf{21931} := 2 \times (19 + F(F(F(3!)))) + 1$$
$$\mathbf{21932} := 2 \times (19 + F(F(F(3!)))) + 2$$
$$\mathbf{21933} := 2 \times (19 + F(F(F(3!)))) + 3$$
$$\mathbf{21934} := 2 \times (19 + F(F(F(3!)))) + 4$$
$$\mathbf{21935} := 2 \times (19 + F(F(F(3!)))) + 5$$
$$\mathbf{21936} := 2 \times (19 + F(F(F(3!)))) + 6$$
$$\mathbf{21937} := 2 \times (19 + F(F(F(3!)))) + 7$$
$$\mathbf{21938} := 2 \times (19 + F(F(F(3!)))) + 8$$
$$\mathbf{21939} := 2 \times (19 + F(F(F(3!)))) + 9$$

$$\mathbf{23330} := 2 + 3!^{3!}/F(3) + 0$$
$$\mathbf{23331} := 2 + 3!^{3!}/F(3) + 1$$
$$\mathbf{23332} := 2 + 3!^{3!}/F(3) + 2$$
$$\mathbf{23333} := 2 + 3!^{3!}/F(3) + 3$$
$$\mathbf{23334} := 2 + 3!^{3!}/F(3) + 4$$
$$\mathbf{23335} := 2 + 3!^{3!}/F(3) + 5$$
$$\mathbf{23336} := 2 + 3!^{3!}/F(3) + 6$$
$$\mathbf{23337} := 2 + 3!^{3!}/F(3) + 7$$
$$\mathbf{23338} := 2 + 3!^{3!}/F(3) + 8$$
$$\mathbf{23339} := 2 + 3!^{3!}/F(3) + 9$$

$$\mathbf{23440} := 2^{F(3!)} + F(4!)/F(F(4)) + 0$$
$$\mathbf{23441} := 2^{F(3!)} + F(4!)/F(F(4)) + 1$$
$$\mathbf{23442} := 2^{F(3!)} + F(4!)/F(F(4)) + 2$$
$$\mathbf{23443} := 2^{F(3!)} + F(4!)/F(F(4)) + 3$$
$$\mathbf{23444} := 2^{F(3!)} + F(4!)/F(F(4)) + 4$$
$$\mathbf{23445} := 2^{F(3!)} + F(4!)/F(F(4)) + 5$$
$$\mathbf{23446} := 2^{F(3!)} + F(4!)/F(F(4)) + 6$$
$$\mathbf{23447} := 2^{F(3!)} + F(4!)/F(F(4)) + 7$$
$$\mathbf{23448} := 2^{F(3!)} + F(4!)/F(F(4)) + 8$$
$$\mathbf{23449} := 2^{F(3!)} + F(4!)/F(F(4)) + 9$$

$$\mathbf{26460} := (F(2) + 6)!/4 \times F(F(6)) + 0$$
$$\mathbf{26461} := (F(2) + 6)!/4 \times F(F(6)) + 1$$
$$\mathbf{26462} := (F(2) + 6)!/4 \times F(F(6)) + 2$$
$$\mathbf{26463} := (F(2) + 6)!/4 \times F(F(6)) + 3$$
$$\mathbf{26464} := (F(2) + 6)!/4 \times F(F(6)) + 4$$
$$\mathbf{26465} := (F(2) + 6)!/4 \times F(F(6)) + 5$$
$$\mathbf{26466} := (F(2) + 6)!/4 \times F(F(6)) + 6$$
$$\mathbf{26467} := (F(2) + 6)!/4 \times F(F(6)) + 7$$
$$\mathbf{26468} := (F(2) + 6)!/4 \times F(F(6)) + 8$$
$$\mathbf{26469} := (F(2) + 6)!/4 \times F(F(6)) + 9$$

$$\mathbf{26640} := (2 \times F(6)! - 6!)/F(4) + 0$$
$$\mathbf{26641} := (2 \times F(6)! - 6!)/F(4) + 1$$
$$\mathbf{26642} := (2 \times F(6)! - 6!)/F(4) + 2$$
$$\mathbf{26643} := (2 \times F(6)! - 6!)/F(4) + 3$$
$$\mathbf{26644} := (2 \times F(6)! - 6!)/F(4) + 4$$
$$\mathbf{26645} := (2 \times F(6)! - 6!)/F(4) + 5$$
$$\mathbf{26646} := (2 \times F(6)! - 6!)/F(4) + 6$$

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$26647 := (2 \times F(6)! - 6!)/F(4) + 7$
$26648 := (2 \times F(6)! - 6!)/F(4) + 8$
$26649 := (2 \times F(6)! - 6!)/F(4) + 9$

$28350 := (2+8)!/(F(3!) + 5!) + 0$
$28351 := (2+8)!/(F(3!) + 5!) + 1$
$28352 := (2+8)!/(F(3!) + 5!) + 2$
$28353 := (2+8)!/(F(3!) + 5!) + 3$
$28354 := (2+8)!/(F(3!) + 5!) + 4$
$28355 := (2+8)!/(F(3!) + 5!) + 5$
$28356 := (2+8)!/(F(3!) + 5!) + 6$
$28357 := (2+8)!/(F(3!) + 5!) + 7$
$28358 := (2+8)!/(F(3!) + 5!) + 8$
$28359 := (2+8)!/(F(3!) + 5!) + 9$

$29470 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 0$
$29471 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 1$
$29472 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 2$
$29473 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 3$
$29474 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 4$
$29475 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 5$
$29476 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 6$
$29477 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 7$
$29478 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 8$
$29479 := (F(2) + F(9)) \times F(F(F((F(4))!)))/F(7) + 9$

$33600 := -F(3!)!/3! + F(6)! + 00$
$33601 := -F(3!)!/3! + F(6)! + 01$
$33602 := -F(3!)!/3! + F(6)! + 02$
$33603 := -F(3!)!/3! + F(6)! + 03$
$33604 := -F(3!)!/3! + F(6)! + 04$
$33605 := -F(3!)!/3! + F(6)! + 05$
$33606 := -F(3!)!/3! + F(6)! + 06$
$33607 := -F(3!)!/3! + F(6)! + 07$
$33608 := -F(3!)!/3! + F(6)! + 08$
$33609 := -F(3!)!/3! + F(6)! + 09$

$33610 := -F(3!)!/3! + F(6)! + 10$
$33611 := -F(3!)!/3! + F(6)! + 11$
$33612 := -F(3!)!/3! + F(6)! + 12$
$33613 := -F(3!)!/3! + F(6)! + 13$
$33614 := -F(3!)!/3! + F(6)! + 14$
$33615 := -F(3!)!/3! + F(6)! + 15$
$33616 := -F(3!)!/3! + F(6)! + 16$
$33617 := -F(3!)!/3! + F(6)! + 17$
$33618 := -F(3!)!/3! + F(6)! + 18$
$33619 := -F(3!)!/3! + F(6)! + 19$

$33620 := -F(3!)!/3! + F(6)! + 20$
$33621 := -F(3!)!/3! + F(6)! + 21$
$33622 := -F(3!)!/3! + F(6)! + 22$
$33623 := -F(3!)!/3! + F(6)! + 23$
$33624 := -F(3!)!/3! + F(6)! + 24$
$33625 := -F(3!)!/3! + F(6)! + 25$
$33626 := -F(3!)!/3! + F(6)! + 26$
$33627 := -F(3!)!/3! + F(6)! + 27$
$33628 := -F(3!)!/3! + F(6)! + 28$
$33629 := -F(3!)!/3! + F(6)! + 29$

$33630 := -F(3!)!/3! + F(6)! + 30$
$33631 := -F(3!)!/3! + F(6)! + 31$
$33632 := -F(3!)!/3! + F(6)! + 32$
$33633 := -F(3!)!/3! + F(6)! + 33$
$33634 := -F(3!)!/3! + F(6)! + 34$
$33635 := -F(3!)!/3! + F(6)! + 35$
$33636 := -F(3!)!/3! + F(6)! + 36$
$33637 := -F(3!)!/3! + F(6)! + 37$
$33638 := -F(3!)!/3! + F(6)! + 38$
$33639 := -F(3!)!/3! + F(6)! + 39$

$33640 := -F(3!)!/3! + F(6)! + 40$
$33641 := -F(3!)!/3! + F(6)! + 41$
$33642 := -F(3!)!/3! + F(6)! + 42$
$33643 := -F(3!)!/3! + F(6)! + 43$
$33644 := -F(3!)!/3! + F(6)! + 44$
$33645 := -F(3!)!/3! + F(6)! + 45$
$33646 := -F(3!)!/3! + F(6)! + 46$
$33647 := -F(3!)!/3! + F(6)! + 47$
$33648 := -F(3!)!/3! + F(6)! + 48$
$33649 := -F(3!)!/3! + F(6)! + 49$

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$33650 := -F(3!)!/3! + F(6)! + 50$
$33651 := -F(3!)!/3! + F(6)! + 51$
$33652 := -F(3!)!/3! + F(6)! + 52$
$33653 := -F(3!)!/3! + F(6)! + 53$
$33654 := -F(3!)!/3! + F(6)! + 54$
$33655 := -F(3!)!/3! + F(6)! + 55$
$33656 := -F(3!)!/3! + F(6)! + 56$
$33657 := -F(3!)!/3! + F(6)! + 57$
$33658 := -F(3!)!/3! + F(6)! + 58$
$33659 := -F(3!)!/3! + F(6)! + 59$
$33660 := -F(3!)!/3! + F(6)! + 60$
$33661 := -F(3!)!/3! + F(6)! + 61$
$33662 := -F(3!)!/3! + F(6)! + 62$
$33663 := -F(3!)!/3! + F(6)! + 63$
$33664 := -F(3!)!/3! + F(6)! + 64$
$33665 := -F(3!)!/3! + F(6)! + 65$
$33666 := -F(3!)!/3! + F(6)! + 66$
$33667 := -F(3!)!/3! + F(6)! + 67$
$33668 := -F(3!)!/3! + F(6)! + 68$
$33669 := -F(3!)!/3! + F(6)! + 69$

$33670 := -F(3!)!/3! + F(6)! + 70$
$33671 := -F(3!)!/3! + F(6)! + 71$
$33672 := -F(3!)!/3! + F(6)! + 72$
$33673 := -F(3!)!/3! + F(6)! + 73$
$33674 := -F(3!)!/3! + F(6)! + 74$
$33675 := -F(3!)!/3! + F(6)! + 75$
$33676 := -F(3!)!/3! + F(6)! + 76$
$33677 := -F(3!)!/3! + F(6)! + 77$
$33678 := -F(3!)!/3! + F(6)! + 78$
$33679 := -F(3!)!/3! + F(6)! + 79$

$33680 := -F(3!)!/3! + F(6)! + 80$
$33681 := -F(3!)!/3! + F(6)! + 81$
$33682 := -F(3!)!/3! + F(6)! + 82$
$33683 := -F(3!)!/3! + F(6)! + 83$
$33684 := -F(3!)!/3! + F(6)! + 84$
$33685 := -F(3!)!/3! + F(6)! + 85$
$33686 := -F(3!)!/3! + F(6)! + 86$
$33687 := -F(3!)!/3! + F(6)! + 87$
$33688 := -F(3!)!/3! + F(6)! + 88$
$33689 := -F(3!)!/3! + F(6)! + 89$

$33690 := -F(3!)!/3! + F(6)! + 90$
$33691 := -F(3!)!/3! + F(6)! + 91$
$33692 := -F(3!)!/3! + F(6)! + 92$
$33693 := -F(3!)!/3! + F(6)! + 93$
$33694 := -F(3!)!/3! + F(6)! + 94$
$33695 := -F(3!)!/3! + F(6)! + 95$
$33696 := -F(3!)!/3! + F(6)! + 96$
$33697 := -F(3!)!/3! + F(6)! + 97$
$33698 := -F(3!)!/3! + F(6)! + 98$
$33699 := -F(3!)!/3! + F(6)! + 99$

$33920 := F(3!)! - (3!!/9)^2 + 0$
$33921 := F(3!)! - (3!!/9)^2 + 1$
$33922 := F(3!)! - (3!!/9)^2 + 2$
$33923 := F(3!)! - (3!!/9)^2 + 3$
$33924 := F(3!)! - (3!!/9)^2 + 4$
$33925 := F(3!)! - (3!!/9)^2 + 5$
$33926 := F(3!)! - (3!!/9)^2 + 6$
$33927 := F(3!)! - (3!!/9)^2 + 7$
$33928 := F(3!)! - (3!!/9)^2 + 8$
$33929 := F(3!)! - (3!!/9)^2 + 9$

$34130 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 0$
$34131 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 1$
$34132 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 2$
$34133 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 3$
$34134 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 4$
$34135 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 5$
$34136 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 6$
$34137 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 7$
$34138 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 8$
$34139 := F(F(F(3!))) + F(4!)/F(1 \times 3) + 9$

$38640 := -F(3 \times 8)/6 + F(4!) + 0$
$38641 := -F(3 \times 8)/6 + F(4!) + 1$

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$38642 := -F(3\times 8)/6 + F(4!) + 2$
$38643 := -F(3\times 8)/6 + F(4!) + 3$
$38644 := -F(3\times 8)/6 + F(4!) + 4$
$38645 := -F(3\times 8)/6 + F(4!) + 5$
$38646 := -F(3\times 8)/6 + F(4!) + 6$
$38647 := -F(3\times 8)/6 + F(4!) + 7$
$38648 := -F(3\times 8)/6 + F(4!) + 8$
$38649 := -F(3\times 8)/6 + F(4!) + 9$

$39560 := -F(3!)\times 95 + F(6)! + 0$
$39561 := -F(3!)\times 95 + F(6)! + 1$
$39562 := -F(3!)\times 95 + F(6)! + 2$
$39563 := -F(3!)\times 95 + F(6)! + 3$
$39564 := -F(3!)\times 95 + F(6)! + 4$
$39565 := -F(3!)\times 95 + F(6)! + 5$
$39566 := -F(3!)\times 95 + F(6)! + 6$
$39567 := -F(3!)\times 95 + F(6)! + 7$
$39568 := -F(3!)\times 95 + F(6)! + 8$
$39569 := -F(3!)\times 95 + F(6)! + 9$

$39600 := -(-3+9)! + F(6)! + 00$
$39601 := -(-3+9)! + F(6)! + 01$
$39602 := -(-3+9)! + F(6)! + 02$
$39603 := -(-3+9)! + F(6)! + 03$
$39604 := -(-3+9)! + F(6)! + 04$
$39605 := -(-3+9)! + F(6)! + 05$
$39606 := -(-3+9)! + F(6)! + 06$
$39607 := -(-3+9)! + F(6)! + 07$
$39608 := -(-3+9)! + F(6)! + 08$
$39609 := -(-3+9)! + F(6)! + 09$
$39610 := -(-3+9)! + F(6)! + 10$
$39611 := -(-3+9)! + F(6)! + 11$
$39612 := -(-3+9)! + F(6)! + 12$
$39613 := -(-3+9)! + F(6)! + 13$
$39614 := -(-3+9)! + F(6)! + 14$
$39615 := -(-3+9)! + F(6)! + 15$
$39616 := -(-3+9)! + F(6)! + 16$
$39617 := -(-3+9)! + F(6)! + 17$
$39618 := -(-3+9)! + F(6)! + 18$
$39619 := -(-3+9)! + F(6)! + 19$

$39620 := -(-3+9)! + F(6)! + 20$
$39621 := -(-3+9)! + F(6)! + 21$
$39622 := -(-3+9)! + F(6)! + 22$
$39623 := -(-3+9)! + F(6)! + 23$
$39624 := -(-3+9)! + F(6)! + 24$
$39625 := -(-3+9)! + F(6)! + 25$
$39626 := -(-3+9)! + F(6)! + 26$
$39627 := -(-3+9)! + F(6)! + 27$
$39628 := -(-3+9)! + F(6)! + 28$
$39629 := -(-3+9)! + F(6)! + 29$
$39630 := -(-3+9)! + F(6)! + 30$
$39631 := -(-3+9)! + F(6)! + 31$
$39632 := -(-3+9)! + F(6)! + 32$
$39633 := -(-3+9)! + F(6)! + 33$
$39634 := -(-3+9)! + F(6)! + 34$
$39635 := -(-3+9)! + F(6)! + 35$
$39636 := -(-3+9)! + F(6)! + 36$
$39637 := -(-3+9)! + F(6)! + 37$
$39638 := -(-3+9)! + F(6)! + 38$
$39639 := -(-3+9)! + F(6)! + 39$
$39640 := -(-3+9)! + F(6)! + 40$
$39641 := -(-3+9)! + F(6)! + 41$
$39642 := -(-3+9)! + F(6)! + 42$
$39643 := -(-3+9)! + F(6)! + 43$
$39644 := -(-3+9)! + F(6)! + 44$
$39645 := -(-3+9)! + F(6)! + 45$
$39646 := -(-3+9)! + F(6)! + 46$
$39647 := -(-3+9)! + F(6)! + 47$
$39648 := -(-3+9)! + F(6)! + 48$
$39649 := -(-3+9)! + F(6)! + 49$
$39650 := -(-3+9)! + F(6)! + 50$
$39651 := -(-3+9)! + F(6)! + 51$
$39652 := -(-3+9)! + F(6)! + 52$
$39653 := -(-3+9)! + F(6)! + 53$
$39654 := -(-3+9)! + F(6)! + 54$
$39655 := -(-3+9)! + F(6)! + 55$
$39656 := -(-3+9)! + F(6)! + 56$
$39657 := -(-3+9)! + F(6)! + 57$
$39658 := -(-3+9)! + F(6)! + 58$
$39659 := -(-3+9)! + F(6)! + 59$

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$39660 := -(-3+9)! + F(6)! + 60$
$39661 := -(-3+9)! + F(6)! + 61$
$39662 := -(-3+9)! + F(6)! + 62$
$39663 := -(-3+9)! + F(6)! + 63$
$39664 := -(-3+9)! + F(6)! + 64$
$39665 := -(-3+9)! + F(6)! + 65$
$39666 := -(-3+9)! + F(6)! + 66$
$39667 := -(-3+9)! + F(6)! + 67$
$39668 := -(-3+9)! + F(6)! + 68$
$39669 := -(-3+9)! + F(6)! + 69$
$39670 := -(-3+9)! + F(6)! + 70$
$39671 := -(-3+9)! + F(6)! + 71$
$39672 := -(-3+9)! + F(6)! + 72$
$39673 := -(-3+9)! + F(6)! + 73$
$39674 := -(-3+9)! + F(6)! + 74$
$39675 := -(-3+9)! + F(6)! + 75$
$39676 := -(-3+9)! + F(6)! + 76$
$39677 := -(-3+9)! + F(6)! + 77$
$39678 := -(-3+9)! + F(6)! + 78$
$39679 := -(-3+9)! + F(6)! + 79$
$39680 := -(-3+9)! + F(6)! + 80$
$39681 := -(-3+9)! + F(6)! + 81$
$39682 := -(-3+9)! + F(6)! + 82$
$39683 := -(-3+9)! + F(6)! + 83$
$39684 := -(-3+9)! + F(6)! + 84$
$39685 := -(-3+9)! + F(6)! + 85$
$39686 := -(-3+9)! + F(6)! + 86$
$39687 := -(-3+9)! + F(6)! + 87$
$39688 := -(-3+9)! + F(6)! + 88$
$39689 := -(-3+9)! + F(6)! + 89$
$39690 := -(-3+9)! + F(6)! + 90$
$39691 := -(-3+9)! + F(6)! + 91$
$39692 := -(-3+9)! + F(6)! + 92$
$39693 := -(-3+9)! + F(6)! + 93$
$39694 := -(-3+9)! + F(6)! + 94$
$39695 := -(-3+9)! + F(6)! + 95$
$39696 := -(-3+9)! + F(6)! + 96$
$39697 := -(-3+9)! + F(6)! + 97$
$39698 := -(-3+9)! + F(6)! + 98$
$39699 := -(-3+9)! + F(6)! + 99$

$39760 := -3!!/9 \times 7 + F(6)! + 0$
$39761 := -3!!/9 \times 7 + F(6)! + 1$
$39762 := -3!!/9 \times 7 + F(6)! + 2$
$39763 := -3!!/9 \times 7 + F(6)! + 3$
$39764 := -3!!/9 \times 7 + F(6)! + 4$
$39765 := -3!!/9 \times 7 + F(6)! + 5$
$39766 := -3!!/9 \times 7 + F(6)! + 6$
$39767 := -3!!/9 \times 7 + F(6)! + 7$
$39768 := -3!!/9 \times 7 + F(6)! + 8$
$39769 := -3!!/9 \times 7 + F(6)! + 9$

$39780 := 3!! \times F(9) \times F(7)/8 + 0$
$39781 := 3!! \times F(9) \times F(7)/8 + 1$
$39782 := 3!! \times F(9) \times F(7)/8 + 2$
$39783 := 3!! \times F(9) \times F(7)/8 + 6$
$39784 := 3!! \times F(9) \times F(7)/8 + 3$
$39785 := 3!! \times F(9) \times F(7)/8 + 7$
$39786 := 3!! \times F(9) \times F(7)/8 + 4$
$39787 := 3!! \times F(9) \times F(7)/8 + 8$
$39788 := 3!! \times F(9) \times F(7)/8 + 5$
$39789 := 3!! \times F(9) \times F(7)/8 + 9$

$40260 := -(4+0!)!/2 + F(6)! + 0$
$40261 := -(4+0!)!/2 + F(6)! + 1$
$40262 := -(4+0!)!/2 + F(6)! + 2$
$40263 := -(4+0!)!/2 + F(6)! + 3$
$40264 := -(4+0!)!/2 + F(6)! + 4$
$40265 := -(4+0!)!/2 + F(6)! + 5$
$40266 := -(4+0!)!/2 + F(6)! + 6$
$40267 := -(4+0!)!/2 + F(6)! + 7$
$40268 := -(4+0!)!/2 + F(6)! + 8$
$40269 := -(4+0!)!/2 + F(6)! + 9$

$41030 := F(4)!! - 10 + F(3!)! + 0$
$41031 := F(4)!! - 10 + F(3!)! + 1$
$41032 := F(4)!! - 10 + F(3!)! + 2$
$41033 := F(4)!! - 10 + F(3!)! + 3$
$41034 := F(4)!! - 10 + F(3!)! + 4$
$41035 := F(4)!! - 10 + F(3!)! + 5$

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41036 $:= F(4)!! - 10 + F(3!)! + 6$
41037 $:= F(4)!! - 10 + F(3!)! + 7$
41038 $:= F(4)!! - 10 + F(3!)! + 8$
41039 $:= F(4)!! - 10 + F(3!)! + 9$

46080 $:= 4! \times F(6)!/F(08) + 0$
46081 $:= 4! \times F(6)!/F(08) + 1$
46082 $:= 4! \times F(6)!/F(08) + 2$
46083 $:= 4! \times F(6)!/F(08) + 3$
46084 $:= 4! \times F(6)!/F(08) + 4$
46085 $:= 4! \times F(6)!/F(08) + 5$
46086 $:= 4! \times F(6)!/F(08) + 6$
46087 $:= 4! \times F(6)!/F(08) + 7$
46088 $:= 4! \times F(6)!/F(08) + 8$
46089 $:= 4! \times F(6)!/F(08) + 9$

46230 $:= F(4!) - 6 \times 23 + 0$
46231 $:= F(4!) - 6 \times 23 + 1$
46232 $:= F(4!) - 6 \times 23 + 2$
46233 $:= F(4!) - 6 \times 23 + 3$
46234 $:= F(4!) - 6 \times 23 + 4$
46235 $:= F(4!) - 6 \times 23 + 5$
46236 $:= F(4!) - 6 \times 23 + 6$
46237 $:= F(4!) - 6 \times 23 + 7$
46238 $:= F(4!) - 6 \times 23 + 8$
46239 $:= F(4!) - 6 \times 23 + 9$

46400 $:= 4! + F(6) + F(4!) + 00$
46401 $:= 4! + F(6) + F(4!) + 01$
46402 $:= 4! + F(6) + F(4!) + 02$
46403 $:= 4! + F(6) + F(4!) + 03$
46404 $:= 4! + F(6) + F(4!) + 04$
46405 $:= 4! + F(6) + F(4!) + 05$
46406 $:= 4! + F(6) + F(4!) + 06$
46407 $:= 4! + F(6) + F(4!) + 07$
46408 $:= 4! + F(6) + F(4!) + 08$
46409 $:= 4! + F(6) + F(4!) + 09$
46410 $:= 4! + F(6) + F(4!) + 10$
46411 $:= 4! + F(6) + F(4!) + 11$
46412 $:= 4! + F(6) + F(4!) + 12$
46413 $:= 4! + F(6) + F(4!) + 13$
46414 $:= 4! + F(6) + F(4!) + 14$
46415 $:= 4! + F(6) + F(4!) + 15$
46416 $:= 4! + F(6) + F(4!) + 16$
46417 $:= 4! + F(6) + F(4!) + 17$
46418 $:= 4! + F(6) + F(4!) + 18$
46419 $:= 4! + F(6) + F(4!) + 19$
46420 $:= 4! + F(6) + F(4!) + 20$
46421 $:= 4! + F(6) + F(4!) + 21$
46422 $:= 4! + F(6) + F(4!) + 22$
46423 $:= 4! + F(6) + F(4!) + 23$
46424 $:= 4! + F(6) + F(4!) + 24$
46425 $:= 4! + F(6) + F(4!) + 25$
46426 $:= 4! + F(6) + F(4!) + 26$
46427 $:= 4! + F(6) + F(4!) + 27$
46428 $:= 4! + F(6) + F(4!) + 28$
46429 $:= 4! + F(6) + F(4!) + 29$
46430 $:= 4! + F(6) + F(4!) + 30$
46431 $:= 4! + F(6) + F(4!) + 31$
46432 $:= 4! + F(6) + F(4!) + 32$
46433 $:= 4! + F(6) + F(4!) + 33$
46434 $:= 4! + F(6) + F(4!) + 34$
46435 $:= 4! + F(6) + F(4!) + 35$
46436 $:= 4! + F(6) + F(4!) + 36$
46437 $:= 4! + F(6) + F(4!) + 37$
46438 $:= 4! + F(6) + F(4!) + 38$
46439 $:= 4! + F(6) + F(4!) + 39$
46440 $:= 4! + F(6) + F(4!) + 40$
46441 $:= 4! + F(6) + F(4!) + 41$
46442 $:= 4! + F(6) + F(4!) + 42$
46443 $:= 4! + F(6) + F(4!) + 43$
46444 $:= 4! + F(6) + F(4!) + 44$
46445 $:= 4! + F(6) + F(4!) + 45$
46446 $:= 4! + F(6) + F(4!) + 46$
46447 $:= 4! + F(6) + F(4!) + 47$
46448 $:= 4! + F(6) + F(4!) + 48$
46449 $:= 4! + F(6) + F(4!) + 49$
46450 $:= 4! + F(6) + F(4!) + 50$
46451 $:= 4! + F(6) + F(4!) + 51$
46452 $:= 4! + F(6) + F(4!) + 52$

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$46453 := 4! + F(6) + F(4!) + 53$
$46454 := 4! + F(6) + F(4!) + 54$
$46455 := 4! + F(6) + F(4!) + 55$
$46456 := 4! + F(6) + F(4!) + 56$
$46457 := 4! + F(6) + F(4!) + 57$
$46458 := 4! + F(6) + F(4!) + 58$
$46459 := 4! + F(6) + F(4!) + 59$
$46460 := 4! + F(6) + F(4!) + 60$
$46461 := 4! + F(6) + F(4!) + 61$
$46462 := 4! + F(6) + F(4!) + 62$
$46463 := 4! + F(6) + F(4!) + 63$
$46464 := 4! + F(6) + F(4!) + 64$
$46465 := 4! + F(6) + F(4!) + 65$
$46466 := 4! + F(6) + F(4!) + 66$
$46467 := 4! + F(6) + F(4!) + 67$
$46468 := 4! + F(6) + F(4!) + 68$
$46469 := 4! + F(6) + F(4!) + 69$
$46470 := 4! + F(6) + F(4!) + 70$
$46471 := 4! + F(6) + F(4!) + 71$
$46472 := 4! + F(6) + F(4!) + 72$
$46473 := 4! + F(6) + F(4!) + 73$
$46474 := 4! + F(6) + F(4!) + 74$
$46475 := 4! + F(6) + F(4!) + 75$
$46476 := 4! + F(6) + F(4!) + 76$
$46477 := 4! + F(6) + F(4!) + 77$
$46478 := 4! + F(6) + F(4!) + 78$
$46479 := 4! + F(6) + F(4!) + 79$
$46480 := 4! + F(6) + F(4!) + 80$
$46481 := 4! + F(6) + F(4!) + 81$
$46482 := 4! + F(6) + F(4!) + 82$
$46483 := 4! + F(6) + F(4!) + 83$
$46484 := 4! + F(6) + F(4!) + 84$
$46485 := 4! + F(6) + F(4!) + 85$
$46486 := 4! + F(6) + F(4!) + 86$
$46487 := 4! + F(6) + F(4!) + 87$
$46488 := 4! + F(6) + F(4!) + 88$
$46489 := 4! + F(6) + F(4!) + 89$
$46490 := 4! + F(6) + F(4!) + 90$
$46491 := 4! + F(6) + F(4!) + 91$
$46492 := 4! + F(6) + F(4!) + 92$
$46493 := 4! + F(6) + F(4!) + 93$
$46494 := 4! + F(6) + F(4!) + 94$
$46495 := 4! + F(6) + F(4!) + 95$
$46496 := 4! + F(6) + F(4!) + 96$
$46497 := 4! + F(6) + F(4!) + 97$
$46498 := 4! + F(6) + F(4!) + 98$
$46499 := 4! + F(6) + F(4!) + 99$

$46890 := F(4)^{F(6)} + 8! + 9 + 0$
$46891 := F(4)^{F(6)} + 8! + 9 + 1$
$46892 := F(4)^{F(6)} + 8! + 9 + 2$
$46893 := F(4)^{F(6)} + 8! + 9 + 3$
$46894 := F(4)^{F(6)} + 8! + 9 + 4$
$46895 := F(4)^{F(6)} + 8! + 9 + 5$
$46896 := F(4)^{F(6)} + 8! + 9 + 6$
$46897 := F(4)^{F(6)} + 8! + 9 + 7$
$46898 := F(4)^{F(6)} + 8! + 9 + 8$
$46899 := F(4)^{F(6)} + 8! + 9 + 9$

$46920 := F(4!) + 6 \times 92 + 0$
$46921 := F(4!) + 6 \times 92 + 1$
$46922 := F(4!) + 6 \times 92 + 2$
$46923 := F(4!) + 6 \times 92 + 3$
$46924 := F(4!) + 6 \times 92 + 4$
$46925 := F(4!) + 6 \times 92 + 5$
$46926 := F(4!) + 6 \times 92 + 6$
$46927 := F(4!) + 6 \times 92 + 7$
$46928 := F(4!) + 6 \times 92 + 8$
$46929 := F(4!) + 6 \times 92 + 9$

$47580 := F(4)! \times F(7) \times F(5!/8) + 0$
$47581 := F(4)! \times F(7) \times F(5!/8) + 1$
$47582 := F(4)! \times F(7) \times F(5!/8) + 2$
$47583 := F(4)! \times F(7) \times F(5!/8) + 3$
$47584 := F(4)! \times F(7) \times F(5!/8) + 4$
$47585 := F(4)! \times F(7) \times F(5!/8) + 5$
$47586 := F(4)! \times F(7) \times F(5!/8) + 6$
$47587 := F(4)! \times F(7) \times F(5!/8) + 7$
$47588 := F(4)! \times F(7) \times F(5!/8) + 8$

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$\mathbf{47589} := F(4)! \times F(7) \times F(5!/8) + 9$

$\mathbf{53640} := -5! + F(3!) \times F(6)!/F(4)! + 0$
$\mathbf{53641} := -5! + F(3!) \times F(6)!/F(4)! + 1$
$\mathbf{53642} := -5! + F(3!) \times F(6)!/F(4)! + 2$
$\mathbf{53643} := -5! + F(3!) \times F(6)!/F(4)! + 3$
$\mathbf{53644} := -5! + F(3!) \times F(6)!/F(4)! + 4$
$\mathbf{53645} := -5! + F(3!) \times F(6)!/F(4)! + 5$
$\mathbf{53646} := -5! + F(3!) \times F(6)!/F(4)! + 6$
$\mathbf{53647} := -5! + F(3!) \times F(6)!/F(4)! + 7$
$\mathbf{53648} := -5! + F(3!) \times F(6)!/F(4)! + 8$
$\mathbf{53649} := -5! + F(3!) \times F(6)!/F(4)! + 9$

$\mathbf{54730} := 5!/4! \times F(7 \times 3) + 0$
$\mathbf{54731} := 5!/4! \times F(7 \times 3) + 1$
$\mathbf{54732} := 5!/4! \times F(7 \times 3) + 2$
$\mathbf{54733} := 5!/4! \times F(7 \times 3) + 3$
$\mathbf{54734} := 5!/4! \times F(7 \times 3) + 4$
$\mathbf{54735} := 5!/4! \times F(7 \times 3) + 5$
$\mathbf{54736} := 5!/4! \times F(7 \times 3) + 6$
$\mathbf{54737} := 5!/4! \times F(7 \times 3) + 7$
$\mathbf{54738} := 5!/4! \times F(7 \times 3) + 8$
$\mathbf{54739} := 5!/4! \times F(7 \times 3) + 9$

$\mathbf{54900} := 5 \times (F(F(F(F(4)!))) + F(9)) + 00$
$\mathbf{54901} := 5 \times (F(F(F(F(4)!))) + F(9)) + 01$
$\mathbf{54902} := 5 \times (F(F(F(F(4)!))) + F(9)) + 02$
$\mathbf{54903} := 5 \times (F(F(F(F(4)!))) + F(9)) + 03$
$\mathbf{54904} := 5 \times (F(F(F(F(4)!))) + F(9)) + 04$
$\mathbf{54905} := 5 \times (F(F(F(F(4)!))) + F(9)) + 05$
$\mathbf{54906} := 5 \times (F(F(F(F(4)!))) + F(9)) + 06$
$\mathbf{54907} := 5 \times (F(F(F(F(4)!))) + F(9)) + 07$
$\mathbf{54908} := 5 \times (F(F(F(F(4)!))) + F(9)) + 08$
$\mathbf{54909} := 5 \times (F(F(F(F(4)!))) + F(9)) + 09$
$\mathbf{54910} := 5 \times (F(F(F(F(4)!))) + F(9)) + 10$
$\mathbf{54911} := 5 \times (F(F(F(F(4)!))) + F(9)) + 11$
$\mathbf{54912} := 5 \times (F(F(F(F(4)!))) + F(9)) + 12$
$\mathbf{54913} := 5 \times (F(F(F(F(4)!))) + F(9)) + 13$
$\mathbf{54914} := 5 \times (F(F(F(F(4)!))) + F(9)) + 14$
$\mathbf{54915} := 5 \times (F(F(F(F(4)!))) + F(9)) + 15$
$\mathbf{54916} := 5 \times (F(F(F(F(4)!))) + F(9)) + 16$
$\mathbf{54917} := 5 \times (F(F(F(F(4)!))) + F(9)) + 17$
$\mathbf{54918} := 5 \times (F(F(F(F(4)!))) + F(9)) + 18$
$\mathbf{54919} := 5 \times (F(F(F(F(4)!))) + F(9)) + 19$
$\mathbf{54920} := 5 \times (F(F(F(F(4)!))) + F(9)) + 20$
$\mathbf{54921} := 5 \times (F(F(F(F(4)!))) + F(9)) + 21$
$\mathbf{54922} := 5 \times (F(F(F(F(4)!))) + F(9)) + 22$
$\mathbf{54923} := 5 \times (F(F(F(F(4)!))) + F(9)) + 23$
$\mathbf{54924} := 5 \times (F(F(F(F(4)!))) + F(9)) + 24$
$\mathbf{54925} := 5 \times (F(F(F(F(4)!))) + F(9)) + 25$
$\mathbf{54926} := 5 \times (F(F(F(F(4)!))) + F(9)) + 26$
$\mathbf{54927} := 5 \times (F(F(F(F(4)!))) + F(9)) + 27$
$\mathbf{54928} := 5 \times (F(F(F(F(4)!))) + F(9)) + 28$
$\mathbf{54929} := 5 \times (F(F(F(F(4)!))) + F(9)) + 29$
$\mathbf{54930} := 5 \times (F(F(F(F(4)!))) + F(9)) + 30$
$\mathbf{54931} := 5 \times (F(F(F(F(4)!))) + F(9)) + 31$
$\mathbf{54932} := 5 \times (F(F(F(F(4)!))) + F(9)) + 32$
$\mathbf{54933} := 5 \times (F(F(F(F(4)!))) + F(9)) + 33$
$\mathbf{54934} := 5 \times (F(F(F(F(4)!))) + F(9)) + 34$
$\mathbf{54935} := 5 \times (F(F(F(F(4)!))) + F(9)) + 35$
$\mathbf{54936} := 5 \times (F(F(F(F(4)!))) + F(9)) + 36$
$\mathbf{54937} := 5 \times (F(F(F(F(4)!))) + F(9)) + 37$
$\mathbf{54938} := 5 \times (F(F(F(F(4)!))) + F(9)) + 38$
$\mathbf{54939} := 5 \times (F(F(F(F(4)!))) + F(9)) + 39$
$\mathbf{54940} := 5 \times (F(F(F(F(4)!))) + F(9)) + 40$
$\mathbf{54941} := 5 \times (F(F(F(F(4)!))) + F(9)) + 41$
$\mathbf{54942} := 5 \times (F(F(F(F(4)!))) + F(9)) + 42$
$\mathbf{54943} := 5 \times (F(F(F(F(4)!))) + F(9)) + 43$
$\mathbf{54944} := 5 \times (F(F(F(F(4)!))) + F(9)) + 44$
$\mathbf{54945} := 5 \times (F(F(F(F(4)!))) + F(9)) + 45$
$\mathbf{54946} := 5 \times (F(F(F(F(4)!))) + F(9)) + 46$
$\mathbf{54947} := 5 \times (F(F(F(F(4)!))) + F(9)) + 47$
$\mathbf{54948} := 5 \times (F(F(F(F(4)!))) + F(9)) + 48$
$\mathbf{54949} := 5 \times (F(F(F(F(4)!))) + F(9)) + 49$
$\mathbf{54950} := 5 \times (F(F(F(F(4)!))) + F(9)) + 50$
$\mathbf{54951} := 5 \times (F(F(F(F(4)!))) + F(9)) + 51$
$\mathbf{54952} := 5 \times (F(F(F(F(4)!))) + F(9)) + 52$
$\mathbf{54953} := 5 \times (F(F(F(F(4)!))) + F(9)) + 53$
$\mathbf{54954} := 5 \times (F(F(F(F(4)!))) + F(9)) + 54$
$\mathbf{54955} := 5 \times (F(F(F(F(4)!))) + F(9)) + 55$

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54956 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 56$
54957 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 57$
54958 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 58$
54959 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 59$
54960 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 60$
54961 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 61$
54962 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 62$
54963 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 63$
54964 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 64$
54965 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 65$
54966 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 66$
54967 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 67$
54968 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 68$
54969 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 69$
54970 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 70$
54971 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 71$
54972 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 72$
54973 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 73$
54974 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 74$
54975 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 75$
54976 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 76$
54977 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 77$
54978 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 78$
54979 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 79$
54980 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 80$
54981 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 81$
54982 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 82$
54983 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 83$
54984 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 84$
54985 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 85$
54986 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 86$
54987 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 87$
54988 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 88$
54989 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 89$
54990 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 90$
54991 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 91$
54992 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 92$
54993 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 93$
54994 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 94$
54995 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 95$
54996 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 96$
54997 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 97$
54998 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 98$
54999 $:= 5 \times (F(F(F(F(4)!))) + F(9)) + 99$

59640 $:= -5! + 9!/6 - F(4)!! + 0$
59641 $:= -5! + 9!/6 - F(4)!! + 1$
59642 $:= -5! + 9!/6 - F(4)!! + 2$
59643 $:= -5! + 9!/6 - F(4)!! + 3$
59644 $:= -5! + 9!/6 - F(4)!! + 4$
59645 $:= -5! + 9!/6 - F(4)!! + 5$
59646 $:= -5! + 9!/6 - F(4)!! + 6$
59647 $:= -5! + 9!/6 - F(4)!! + 7$
59648 $:= -5! + 9!/6 - F(4)!! + 8$
59649 $:= -5! + 9!/6 - F(4)!! + 9$

63840 $:= F(6)! \times 38/4! + 0$
63841 $:= F(6)! \times 38/4! + 1$
63842 $:= F(6)! \times 38/4! + 2$
63843 $:= F(6)! \times 38/4! + 3$
63844 $:= F(6)! \times 38/4! + 4$
63845 $:= F(6)! \times 38/4! + 5$
63846 $:= F(6)! \times 38/4! + 6$
63847 $:= F(6)! \times 38/4! + 7$
63848 $:= F(6)! \times 38/4! + 8$
63849 $:= F(6)! \times 38/4! + 9$

75600 $:= 7! \times 5!/F(6) + 00$
75601 $:= 7! \times 5!/F(6) + 01$
75602 $:= 7! \times 5!/F(6) + 02$
75603 $:= 7! \times 5!/F(6) + 03$
75604 $:= 7! \times 5!/F(6) + 04$
75605 $:= 7! \times 5!/F(6) + 05$
75606 $:= 7! \times 5!/F(6) + 06$
75607 $:= 7! \times 5!/F(6) + 07$
75608 $:= 7! \times 5!/F(6) + 08$
75609 $:= 7! \times 5!/F(6) + 09$
75610 $:= 7! \times 5!/F(6) + 10$
75611 $:= 7! \times 5!/F(6) + 11$
75612 $:= 7! \times 5!/F(6) + 12$

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75613 $:= 7! \times 5!/F(6) + 13$
75614 $:= 7! \times 5!/F(6) + 14$
75615 $:= 7! \times 5!/F(6) + 15$
75616 $:= 7! \times 5!/F(6) + 16$
75617 $:= 7! \times 5!/F(6) + 17$
75618 $:= 7! \times 5!/F(6) + 18$
75619 $:= 7! \times 5!/F(6) + 19$
75620 $:= 7! \times 5!/F(6) + 20$
75621 $:= 7! \times 5!/F(6) + 21$
75622 $:= 7! \times 5!/F(6) + 22$
75623 $:= 7! \times 5!/F(6) + 23$
75624 $:= 7! \times 5!/F(6) + 24$
75625 $:= 7! \times 5!/F(6) + 25$
75626 $:= 7! \times 5!/F(6) + 26$
75627 $:= 7! \times 5!/F(6) + 27$
75628 $:= 7! \times 5!/F(6) + 28$
75629 $:= 7! \times 5!/F(6) + 29$
75630 $:= 7! \times 5!/F(6) + 30$
75631 $:= 7! \times 5!/F(6) + 31$
75632 $:= 7! \times 5!/F(6) + 32$
75633 $:= 7! \times 5!/F(6) + 33$
75634 $:= 7! \times 5!/F(6) + 34$
75635 $:= 7! \times 5!/F(6) + 35$
75636 $:= 7! \times 5!/F(6) + 36$
75637 $:= 7! \times 5!/F(6) + 37$
75638 $:= 7! \times 5!/F(6) + 38$
75639 $:= 7! \times 5!/F(6) + 39$
75640 $:= 7! \times 5!/F(6) + 40$
75641 $:= 7! \times 5!/F(6) + 41$
75642 $:= 7! \times 5!/F(6) + 42$
75643 $:= 7! \times 5!/F(6) + 43$
75644 $:= 7! \times 5!/F(6) + 44$
75645 $:= 7! \times 5!/F(6) + 45$
75646 $:= 7! \times 5!/F(6) + 46$
75647 $:= 7! \times 5!/F(6) + 47$
75648 $:= 7! \times 5!/F(6) + 48$
75649 $:= 7! \times 5!/F(6) + 49$
75650 $:= 7! \times 5!/F(6) + 50$
75651 $:= 7! \times 5!/F(6) + 51$
75652 $:= 7! \times 5!/F(6) + 52$

75653 $:= 7! \times 5!/F(6) + 53$
75654 $:= 7! \times 5!/F(6) + 54$
75655 $:= 7! \times 5!/F(6) + 55$
75656 $:= 7! \times 5!/F(6) + 56$
75657 $:= 7! \times 5!/F(6) + 57$
75658 $:= 7! \times 5!/F(6) + 58$
75659 $:= 7! \times 5!/F(6) + 59$
75660 $:= 7! \times 5!/F(6) + 60$
75661 $:= 7! \times 5!/F(6) + 61$
75662 $:= 7! \times 5!/F(6) + 62$
75663 $:= 7! \times 5!/F(6) + 63$
75664 $:= 7! \times 5!/F(6) + 64$
75665 $:= 7! \times 5!/F(6) + 65$
75666 $:= 7! \times 5!/F(6) + 66$
75667 $:= 7! \times 5!/F(6) + 67$
75668 $:= 7! \times 5!/F(6) + 68$
75669 $:= 7! \times 5!/F(6) + 69$
75670 $:= 7! \times 5!/F(6) + 70$
75671 $:= 7! \times 5!/F(6) + 71$
75672 $:= 7! \times 5!/F(6) + 72$
75673 $:= 7! \times 5!/F(6) + 73$
75674 $:= 7! \times 5!/F(6) + 74$
75675 $:= 7! \times 5!/F(6) + 75$
75676 $:= 7! \times 5!/F(6) + 76$
75677 $:= 7! \times 5!/F(6) + 77$
75678 $:= 7! \times 5!/F(6) + 78$
75679 $:= 7! \times 5!/F(6) + 79$
75680 $:= 7! \times 5!/F(6) + 80$
75681 $:= 7! \times 5!/F(6) + 81$
75682 $:= 7! \times 5!/F(6) + 82$
75683 $:= 7! \times 5!/F(6) + 83$
75684 $:= 7! \times 5!/F(6) + 84$
75685 $:= 7! \times 5!/F(6) + 85$
75686 $:= 7! \times 5!/F(6) + 86$
75687 $:= 7! \times 5!/F(6) + 87$
75688 $:= 7! \times 5!/F(6) + 88$
75689 $:= 7! \times 5!/F(6) + 89$
75690 $:= 7! \times 5!/F(6) + 90$
75691 $:= 7! \times 5!/F(6) + 91$
75692 $:= 7! \times 5!/F(6) + 92$

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$$\mathbf{75693} := 7! \times 5!/F(6) + 93$$
$$\mathbf{75694} := 7! \times 5!/F(6) + 94$$
$$\mathbf{75695} := 7! \times 5!/F(6) + 95$$
$$\mathbf{75696} := 7! \times 5!/F(6) + 96$$
$$\mathbf{75697} := 7! \times 5!/F(6) + 97$$
$$\mathbf{75698} := 7! \times 5!/F(6) + 98$$
$$\mathbf{75699} := 7! \times 5!/F(6) + 99$$

3.3 Symmetric Representations in Reverse Order of Digits

Below are examples of numbers written in reverse order of digits:

3.3.1 Basic Operations

$$\mathbf{17640} := 0 + F(F(F(F(4))) + F(F(6))) - 71$$
$$\mathbf{17641} := 1 + F(F(F(F(4))) + F(F(6))) - 71$$
$$\mathbf{17642} := 2 + F(F(F(F(4))) + F(F(6))) - 71$$
$$\mathbf{17643} := 3 + F(F(F(F(4))) + F(F(6))) - 71$$
$$\mathbf{17644} := 4 + F(F(F(F(4))) + F(F(6))) - 71$$
$$\mathbf{17645} := 5 + F(F(F(F(4))) + F(F(6))) - 71$$
$$\mathbf{17646} := 6 + F(F(F(F(4))) + F(F(6))) - 71$$
$$\mathbf{17647} := 7 + F(F(F(F(4))) + F(F(6))) - 71$$
$$\mathbf{17648} := 8 + F(F(F(F(4))) + F(F(6))) - 71$$
$$\mathbf{17649} := 9 + F(F(F(F(4))) + F(F(6))) - 71$$

$$\mathbf{20970} := 0 + F(F(7)) \times 90 \times F(2)$$
$$\mathbf{20971} := 1 + F(F(7)) \times 90 \times F(2)$$
$$\mathbf{20972} := 2 + F(F(7)) \times 90 \times F(2)$$
$$\mathbf{20973} := 3 + F(F(7)) \times 90 \times F(2)$$
$$\mathbf{20974} := 4 + F(F(7)) \times 90 \times F(2)$$
$$\mathbf{20975} := 5 + F(F(7)) \times 90 \times F(2)$$
$$\mathbf{20976} := 6 + F(F(7)) \times 90 \times F(2)$$
$$\mathbf{20977} := 7 + F(F(7)) \times 90 \times F(2)$$
$$\mathbf{20978} := 8 + F(F(7)) \times 90 \times F(2)$$
$$\mathbf{20979} := 9 + F(F(7)) \times 90 \times F(2)$$

$$\mathbf{22180} := 0 + (F(F(8)) + F(12)) \times 2$$
$$\mathbf{22181} := 1 + (F(F(8)) + F(12)) \times 2$$
$$\mathbf{22182} := 2 + (F(F(8)) + F(12)) \times 2$$
$$\mathbf{22183} := 3 + (F(F(8)) + F(12)) \times 2$$
$$\mathbf{22184} := 4 + (F(F(8)) + F(12)) \times 2$$
$$\mathbf{22185} := 5 + (F(F(8)) + F(12)) \times 2$$
$$\mathbf{22186} := 6 + (F(F(8)) + F(12)) \times 2$$
$$\mathbf{22187} := 7 + (F(F(8)) + F(12)) \times 2$$
$$\mathbf{22188} := 8 + (F(F(8)) + F(12)) \times 2$$
$$\mathbf{22189} := 9 + (F(F(8)) + F(12)) \times 2$$

$$\mathbf{39270} := 0 - F(7+2) + F(9)^3$$
$$\mathbf{39271} := 1 - F(7+2) + F(9)^3$$
$$\mathbf{39272} := 2 - F(7+2) + F(9)^3$$
$$\mathbf{39273} := 3 - F(7+2) + F(9)^3$$
$$\mathbf{39274} := 4 - F(7+2) + F(9)^3$$
$$\mathbf{39275} := 5 - F(7+2) + F(9)^3$$
$$\mathbf{39276} := 6 - F(7+2) + F(9)^3$$
$$\mathbf{39277} := 7 - F(7+2) + F(9)^3$$
$$\mathbf{39278} := 8 - F(7+2) + F(9)^3$$
$$\mathbf{39279} := 9 - F(7+2) + F(9)^3$$

$$\mathbf{39770} := 0 + F(F(7)) + F(F(7)) + F(9)^3$$
$$\mathbf{39771} := 1 + F(F(7)) + F(F(7)) + F(9)^3$$
$$\mathbf{39772} := 2 + F(F(7)) + F(F(7)) + F(9)^3$$
$$\mathbf{39773} := 3 + F(F(7)) + F(F(7)) + F(9)^3$$
$$\mathbf{39774} := 4 + F(F(7)) + F(F(7)) + F(9)^3$$
$$\mathbf{39775} := 5 + F(F(7)) + F(F(7)) + F(9)^3$$
$$\mathbf{39776} := 6 + F(F(7)) + F(F(7)) + F(9)^3$$
$$\mathbf{39777} := 7 + F(F(7)) + F(F(7)) + F(9)^3$$
$$\mathbf{39778} := 8 + F(F(7)) + F(F(7)) + F(9)^3$$
$$\mathbf{39779} := 9 + F(F(7)) + F(F(7)) + F(9)^3$$

$$\mathbf{46690} := 0 + F(9) + (6 \times 6)^{F(4)}$$
$$\mathbf{46691} := 1 + F(9) + (6 \times 6)^{F(4)}$$

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$$\mathbf{46692} := 2 + F(9) + (6 \times 6)^{F(4)}$$
$$\mathbf{46693} := 3 + F(9) + (6 \times 6)^{F(4)}$$
$$\mathbf{46694} := 4 + F(9) + (6 \times 6)^{F(4)}$$
$$\mathbf{46695} := 5 + F(9) + (6 \times 6)^{F(4)}$$
$$\mathbf{46696} := 6 + F(9) + (6 \times 6)^{F(4)}$$
$$\mathbf{46697} := 7 + F(9) + (6 \times 6)^{F(4)}$$
$$\mathbf{46698} := 8 + F(9) + (6 \times 6)^{F(4)}$$
$$\mathbf{46699} := 9 + F(9) + (6 \times 6)^{F(4)}$$

$$\mathbf{74290} := 0 + F(9) \times (-2 + F(4)^7)$$
$$\mathbf{74291} := 1 + F(9) \times (-2 + F(4)^7)$$
$$\mathbf{74292} := 2 + F(9) \times (-2 + F(4)^7)$$
$$\mathbf{74293} := 3 + F(9) \times (-2 + F(4)^7)$$
$$\mathbf{74294} := 4 + F(9) \times (-2 + F(4)^7)$$
$$\mathbf{74295} := 5 + F(9) \times (-2 + F(4)^7)$$
$$\mathbf{74296} := 6 + F(9) \times (-2 + F(4)^7)$$
$$\mathbf{74297} := 7 + F(9) \times (-2 + F(4)^7)$$
$$\mathbf{74298} := 8 + F(9) \times (-2 + F(4)^7)$$
$$\mathbf{74299} := 9 + F(9) \times (-2 + F(4)^7)$$

$$\mathbf{112640} := 0 + F(4+6) \times 2^{11}$$
$$\mathbf{112641} := 1 + F(4+6) \times 2^{11}$$
$$\mathbf{112642} := 2 + F(4+6) \times 2^{11}$$
$$\mathbf{112643} := 3 + F(4+6) \times 2^{11}$$
$$\mathbf{112644} := 4 + F(4+6) \times 2^{11}$$
$$\mathbf{112645} := 5 + F(4+6) \times 2^{11}$$
$$\mathbf{112646} := 6 + F(4+6) \times 2^{11}$$
$$\mathbf{112647} := 7 + F(4+6) \times 2^{11}$$
$$\mathbf{112648} := 8 + F(4+6) \times 2^{11}$$
$$\mathbf{112649} := 9 + F(4+6) \times 2^{11}$$

$$\mathbf{117670} := 0 + 7^6 + F(7+1) \times 1$$
$$\mathbf{117671} := 1 + 7^6 + F(7+1) \times 1$$
$$\mathbf{117672} := 2 + 7^6 + F(7+1) \times 1$$
$$\mathbf{117673} := 3 + 7^6 + F(7+1) \times 1$$
$$\mathbf{117674} := 4 + 7^6 + F(7+1) \times 1$$
$$\mathbf{117675} := 5 + 7^6 + F(7+1) \times 1$$
$$\mathbf{117676} := 6 + 7^6 + F(7+1) \times 1$$
$$\mathbf{117677} := 7 + 7^6 + F(7+1) \times 1$$
$$\mathbf{117678} := 8 + 7^6 + F(7+1) \times 1$$
$$\mathbf{117679} := 9 + 7^6 + F(7+1) \times 1$$

$$\mathbf{212280} := 0 + (-F(8) + F(22)) \times 12$$
$$\mathbf{212281} := 1 + (-F(8) + F(22)) \times 12$$
$$\mathbf{212282} := 2 + (-F(8) + F(22)) \times 12$$
$$\mathbf{212283} := 3 + (-F(8) + F(22)) \times 12$$
$$\mathbf{212284} := 4 + (-F(8) + F(22)) \times 12$$
$$\mathbf{212285} := 5 + (-F(8) + F(22)) \times 12$$
$$\mathbf{212286} := 6 + (-F(8) + F(22)) \times 12$$
$$\mathbf{212287} := 7 + (-F(8) + F(22)) \times 12$$
$$\mathbf{212288} := 8 + (-F(8) + F(22)) \times 12$$
$$\mathbf{212289} := 9 + (-F(8) + F(22)) \times 12$$

$$\mathbf{270400} := 00 + (40 \times F(7))^2$$
$$\mathbf{270401} := 10 + (40 \times F(7))^2$$
$$\mathbf{270402} := 20 + (40 \times F(7))^2$$
$$\mathbf{270403} := 30 + (40 \times F(7))^2$$
$$\mathbf{270404} := 40 + (40 \times F(7))^2$$
$$\mathbf{270405} := 50 + (40 \times F(7))^2$$
$$\mathbf{270406} := 60 + (40 \times F(7))^2$$
$$\mathbf{270407} := 70 + (40 \times F(7))^2$$
$$\mathbf{270408} := 80 + (40 \times F(7))^2$$
$$\mathbf{270409} := 90 + (40 \times F(7))^2$$

$$\mathbf{274980} := 0 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$
$$\mathbf{274981} := 1 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$
$$\mathbf{274982} := 2 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$
$$\mathbf{274983} := 3 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$
$$\mathbf{274984} := 4 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$
$$\mathbf{274985} := 5 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$
$$\mathbf{274986} := 6 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$
$$\mathbf{274987} := 7 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$
$$\mathbf{274988} := 8 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$

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$$\mathbf{274989} := 9 + (-F(8) + F(9)^{F(4)}) \times 7 - F(2)$$

$$\mathbf{297440} := 0 + 4 \times (F(4)^7 \times F(9) + 2)$$
$$\mathbf{297441} := 1 + 4 \times (F(4)^7 \times F(9) + 2)$$
$$\mathbf{297442} := 2 + 4 \times (F(4)^7 \times F(9) + 2)$$
$$\mathbf{297443} := 3 + 4 \times (F(4)^7 \times F(9) + 2)$$
$$\mathbf{297444} := 4 + 4 \times (F(4)^7 \times F(9) + 2)$$
$$\mathbf{297445} := 5 + 4 \times (F(4)^7 \times F(9) + 2)$$
$$\mathbf{297446} := 6 + 4 \times (F(4)^7 \times F(9) + 2)$$
$$\mathbf{297447} := 7 + 4 \times (F(4)^7 \times F(9) + 2)$$
$$\mathbf{297448} := 8 + 4 \times (F(4)^7 \times F(9) + 2)$$
$$\mathbf{297449} := 9 + 4 \times (F(4)^7 \times F(9) + 2)$$

$$\mathbf{317810} := 0 - 1 + F(8 + 7 + 13)$$
$$\mathbf{317811} := 1 - 1 + F(8 + 7 + 13)$$
$$\mathbf{317812} := 2 - 1 + F(8 + 7 + 13)$$
$$\mathbf{317813} := 3 - 1 + F(8 + 7 + 13)$$
$$\mathbf{317814} := 4 - 1 + F(8 + 7 + 13)$$
$$\mathbf{317815} := 5 - 1 + F(8 + 7 + 13)$$
$$\mathbf{317816} := 6 - 1 + F(8 + 7 + 13)$$
$$\mathbf{317817} := 7 - 1 + F(8 + 7 + 13)$$
$$\mathbf{317818} := 8 - 1 + F(8 + 7 + 13)$$
$$\mathbf{317819} := 9 - 1 + F(8 + 7 + 13)$$

$$\mathbf{332750} := 0 + (57 - 2)^3 \times F(3)$$
$$\mathbf{332751} := 1 + (57 - 2)^3 \times F(3)$$
$$\mathbf{332752} := 2 + (57 - 2)^3 \times F(3)$$
$$\mathbf{332753} := 3 + (57 - 2)^3 \times F(3)$$
$$\mathbf{332754} := 4 + (57 - 2)^3 \times F(3)$$
$$\mathbf{332755} := 5 + (57 - 2)^3 \times F(3)$$
$$\mathbf{332756} := 6 + (57 - 2)^3 \times F(3)$$
$$\mathbf{332757} := 7 + (57 - 2)^3 \times F(3)$$
$$\mathbf{332758} := 8 + (57 - 2)^3 \times F(3)$$
$$\mathbf{332759} := 9 + (57 - 2)^3 \times F(3)$$

$$\mathbf{372100} := 0 + F(01 + 2 \times 7)^{F(3)}$$
$$\mathbf{372100} := 00 + F(1 + 2 \times 7)^{F(3)}$$
$$\mathbf{372101} := 1 + F(01 + 2 \times 7)^{F(3)}$$
$$\mathbf{372102} := 2 + F(01 + 2 \times 7)^{F(3)}$$
$$\mathbf{372103} := 3 + F(01 + 2 \times 7)^{F(3)}$$
$$\mathbf{372104} := 4 + F(01 + 2 \times 7)^{F(3)}$$
$$\mathbf{372105} := 5 + F(01 + 2 \times 7)^{F(3)}$$
$$\mathbf{372106} := 6 + F(01 + 2 \times 7)^{F(3)}$$
$$\mathbf{372107} := 7 + F(01 + 2 \times 7)^{F(3)}$$
$$\mathbf{372108} := 8 + F(01 + 2 \times 7)^{F(3)}$$
$$\mathbf{372109} := 9 + F(01 + 2 \times 7)^{F(3)}$$

$$\mathbf{372111} := 11 + F(1 + 2 \times 7)^{F(3)}$$
$$\mathbf{372122} := 22 + F(1 + 2 \times 7)^{F(3)}$$
$$\mathbf{372133} := 33 + F(1 + 2 \times 7)^{F(3)}$$
$$\mathbf{372144} := 44 + F(1 + 2 \times 7)^{F(3)}$$
$$\mathbf{372155} := 55 + F(1 + 2 \times 7)^{F(3)}$$
$$\mathbf{372166} := 66 + F(1 + 2 \times 7)^{F(3)}$$
$$\mathbf{372177} := 77 + F(1 + 2 \times 7)^{F(3)}$$
$$\mathbf{372188} := 88 + F(1 + 2 \times 7)^{F(3)}$$
$$\mathbf{372199} := 99 + F(1 + 2 \times 7)^{F(3)}$$

$$\mathbf{373490} := 0 + F(9) \times (F(4) + F(3)) \times F(7)^3$$
$$\mathbf{373491} := 1 + F(9) \times (F(4) + F(3)) \times F(7)^3$$
$$\mathbf{373492} := 2 + F(9) \times (F(4) + F(3)) \times F(7)^3$$
$$\mathbf{373493} := 3 + F(9) \times (F(4) + F(3)) \times F(7)^3$$
$$\mathbf{373494} := 4 + F(9) \times (F(4) + F(3)) \times F(7)^3$$
$$\mathbf{373495} := 5 + F(9) \times (F(4) + F(3)) \times F(7)^3$$
$$\mathbf{373496} := 6 + F(9) \times (F(4) + F(3)) \times F(7)^3$$
$$\mathbf{373497} := 7 + F(9) \times (F(4) + F(3)) \times F(7)^3$$
$$\mathbf{373498} := 8 + F(9) \times (F(4) + F(3)) \times F(7)^3$$
$$\mathbf{373499} := 9 + F(9) \times (F(4) + F(3)) \times F(7)^3$$

$$\mathbf{374540} := 0 - 4 + (5^4 - F(7))^{F(3)}$$
$$\mathbf{374541} := 1 - 4 + (5^4 - F(7))^{F(3)}$$
$$\mathbf{374542} := 2 - 4 + (5^4 - F(7))^{F(3)}$$
$$\mathbf{374543} := 3 - 4 + (5^4 - F(7))^{F(3)}$$
$$\mathbf{374544} := 4 - 4 + (5^4 - F(7))^{F(3)}$$
$$\mathbf{374545} := 5 - 4 + (5^4 - F(7))^{F(3)}$$

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$$\mathbf{374546} := 6 - 4 + (5^4 - F(7))^{F(3)}$$
$$\mathbf{374547} := 7 - 4 + (5^4 - F(7))^{F(3)}$$
$$\mathbf{374548} := 8 - 4 + (5^4 - F(7))^{F(3)}$$
$$\mathbf{374549} := 9 - 4 + (5^4 - F(7))^{F(3)}$$

$$\mathbf{391850} := 0 + 5^8 + (1 + F(9))^{F(3)}$$
$$\mathbf{391851} := 1 + 5^8 + (1 + F(9))^{F(3)}$$
$$\mathbf{391852} := 2 + 5^8 + (1 + F(9))^{F(3)}$$
$$\mathbf{391853} := 3 + 5^8 + (1 + F(9))^{F(3)}$$
$$\mathbf{391854} := 4 + 5^8 + (1 + F(9))^{F(3)}$$
$$\mathbf{391855} := 5 + 5^8 + (1 + F(9))^{F(3)}$$
$$\mathbf{391856} := 6 + 5^8 + (1 + F(9))^{F(3)}$$
$$\mathbf{391857} := 7 + 5^8 + (1 + F(9))^{F(3)}$$
$$\mathbf{391858} := 8 + 5^8 + (1 + F(9))^{F(3)}$$
$$\mathbf{391859} := 9 + 5^8 + (1 + F(9))^{F(3)}$$

$$\mathbf{393010} := 0 + 10 \times (-3 + F(9)^3)$$
$$\mathbf{393011} := 1 + 10 \times (-3 + F(9)^3)$$
$$\mathbf{393012} := 2 + 10 \times (-3 + F(9)^3)$$
$$\mathbf{393013} := 3 + 10 \times (-3 + F(9)^3)$$
$$\mathbf{393014} := 4 + 10 \times (-3 + F(9)^3)$$
$$\mathbf{393015} := 5 + 10 \times (-3 + F(9)^3)$$
$$\mathbf{393016} := 6 + 10 \times (-3 + F(9)^3)$$
$$\mathbf{393017} := 7 + 10 \times (-3 + F(9)^3)$$
$$\mathbf{393018} := 8 + 10 \times (-3 + F(9)^3)$$
$$\mathbf{393019} := 9 + 10 \times (-3 + F(9)^3)$$

$$\mathbf{423740} := 0 + (F(4 \times 7)/3 - 2) \times 4$$
$$\mathbf{423741} := 1 + (F(4 \times 7)/3 - 2) \times 4$$
$$\mathbf{423742} := 2 + (F(4 \times 7)/3 - 2) \times 4$$
$$\mathbf{423743} := 3 + (F(4 \times 7)/3 - 2) \times 4$$
$$\mathbf{423744} := 4 + (F(4 \times 7)/3 - 2) \times 4$$
$$\mathbf{423745} := 5 + (F(4 \times 7)/3 - 2) \times 4$$
$$\mathbf{423746} := 6 + (F(4 \times 7)/3 - 2) \times 4$$
$$\mathbf{423747} := 7 + (F(4 \times 7)/3 - 2) \times 4$$
$$\mathbf{423748} := 8 + (F(4 \times 7)/3 - 2) \times 4$$
$$\mathbf{423749} := 9 + (F(4 \times 7)/3 - 2) \times 4$$

$$\mathbf{438980} := 0 + (F(8) + F(9) + F(8))^3 + 4$$
$$\mathbf{438981} := 1 + (F(8) + F(9) + F(8))^3 + 4$$
$$\mathbf{438982} := 2 + (F(8) + F(9) + F(8))^3 + 4$$
$$\mathbf{438983} := 3 + (F(8) + F(9) + F(8))^3 + 4$$
$$\mathbf{438984} := 4 + (F(8) + F(9) + F(8))^3 + 4$$
$$\mathbf{438985} := 5 + (F(8) + F(9) + F(8))^3 + 4$$
$$\mathbf{438986} := 6 + (F(8) + F(9) + F(8))^3 + 4$$
$$\mathbf{438987} := 7 + (F(8) + F(9) + F(8))^3 + 4$$
$$\mathbf{438988} := 8 + (F(8) + F(9) + F(8))^3 + 4$$
$$\mathbf{438989} := 9 + (F(8) + F(9) + F(8))^3 + 4$$

$$\mathbf{458710} := 0 + (1 + F(7)) \times (8^5 - F(4))$$
$$\mathbf{458711} := 1 + (1 + F(7)) \times (8^5 - F(4))$$
$$\mathbf{458712} := 2 + (1 + F(7)) \times (8^5 - F(4))$$
$$\mathbf{458713} := 3 + (1 + F(7)) \times (8^5 - F(4))$$
$$\mathbf{458714} := 4 + (1 + F(7)) \times (8^5 - F(4))$$
$$\mathbf{458715} := 5 + (1 + F(7)) \times (8^5 - F(4))$$
$$\mathbf{458716} := 6 + (1 + F(7)) \times (8^5 - F(4))$$
$$\mathbf{458717} := 7 + (1 + F(7)) \times (8^5 - F(4))$$
$$\mathbf{458718} := 8 + (1 + F(7)) \times (8^5 - F(4))$$
$$\mathbf{458719} := 9 + (1 + F(7)) \times (8^5 - F(4))$$

$$\mathbf{465650} := 0 + 5^{F(6)} + F(5^{6-4})$$
$$\mathbf{465651} := 1 + 5^{F(6)} + F(5^{6-4})$$
$$\mathbf{465652} := 2 + 5^{F(6)} + F(5^{6-4})$$
$$\mathbf{465653} := 3 + 5^{F(6)} + F(5^{6-4})$$
$$\mathbf{465654} := 4 + 5^{F(6)} + F(5^{6-4})$$
$$\mathbf{465655} := 5 + 5^{F(6)} + F(5^{6-4})$$
$$\mathbf{465656} := 6 + 5^{F(6)} + F(5^{6-4})$$
$$\mathbf{465657} := 7 + 5^{F(6)} + F(5^{6-4})$$
$$\mathbf{465658} := 8 + 5^{F(6)} + F(5^{6-4})$$
$$\mathbf{465659} := 9 + 5^{F(6)} + F(5^{6-4})$$

$$\mathbf{477360} := 0 + 6^3 \times (F(7) + F(7)^{F(4)})$$
$$\mathbf{477361} := 1 + 6^3 \times (F(7) + F(7)^{F(4)})$$

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$$\mathbf{477362} := 2 + 6^3 \times (F(7) + F(7)^{F(4)})$$
$$\mathbf{477363} := 3 + 6^3 \times (F(7) + F(7)^{F(4)})$$
$$\mathbf{477364} := 4 + 6^3 \times (F(7) + F(7)^{F(4)})$$
$$\mathbf{477365} := 5 + 6^3 \times (F(7) + F(7)^{F(4)})$$
$$\mathbf{477366} := 6 + 6^3 \times (F(7) + F(7)^{F(4)})$$
$$\mathbf{477367} := 7 + 6^3 \times (F(7) + F(7)^{F(4)})$$
$$\mathbf{477368} := 8 + 6^3 \times (F(7) + F(7)^{F(4)})$$
$$\mathbf{477369} := 9 + 6^3 \times (F(7) + F(7)^{F(4)})$$

$$\mathbf{498920} := 0 + F(29) - F(8) \times 9^{F(4)}$$
$$\mathbf{498921} := 1 + F(29) - F(8) \times 9^{F(4)}$$
$$\mathbf{498922} := 2 + F(29) - F(8) \times 9^{F(4)}$$
$$\mathbf{498923} := 3 + F(29) - F(8) \times 9^{F(4)}$$
$$\mathbf{498924} := 4 + F(29) - F(8) \times 9^{F(4)}$$
$$\mathbf{498925} := 5 + F(29) - F(8) \times 9^{F(4)}$$
$$\mathbf{498926} := 6 + F(29) - F(8) \times 9^{F(4)}$$
$$\mathbf{498927} := 7 + F(29) - F(8) \times 9^{F(4)}$$
$$\mathbf{498928} := 8 + F(29) - F(8) \times 9^{F(4)}$$
$$\mathbf{498929} := 9 + F(29) - F(8) \times 9^{F(4)}$$

$$\mathbf{537790} := 0 - F(9) + (-7 + 7 \times 3)^5$$
$$\mathbf{537791} := 1 - F(9) + (-7 + 7 \times 3)^5$$
$$\mathbf{537792} := 2 - F(9) + (-7 + 7 \times 3)^5$$
$$\mathbf{537793} := 3 - F(9) + (-7 + 7 \times 3)^5$$
$$\mathbf{537794} := 4 - F(9) + (-7 + 7 \times 3)^5$$
$$\mathbf{537795} := 5 - F(9) + (-7 + 7 \times 3)^5$$
$$\mathbf{537796} := 6 - F(9) + (-7 + 7 \times 3)^5$$
$$\mathbf{537797} := 7 - F(9) + (-7 + 7 \times 3)^5$$
$$\mathbf{537798} := 8 - F(9) + (-7 + 7 \times 3)^5$$
$$\mathbf{537799} := 9 - F(9) + (-7 + 7 \times 3)^5$$

$$\mathbf{537850} := 0 + 5 + F(8) + (7 \times F(3))^5$$
$$\mathbf{537851} := 1 + 5 + F(8) + (7 \times F(3))^5$$
$$\mathbf{537852} := 2 + 5 + F(8) + (7 \times F(3))^5$$
$$\mathbf{537853} := 3 + 5 + F(8) + (7 \times F(3))^5$$
$$\mathbf{537854} := 4 + 5 + F(8) + (7 \times F(3))^5$$
$$\mathbf{537855} := 5 + 5 + F(8) + (7 \times F(3))^5$$
$$\mathbf{537856} := 6 + 5 + F(8) + (7 \times F(3))^5$$
$$\mathbf{537857} := 7 + 5 + F(8) + (7 \times F(3))^5$$
$$\mathbf{537858} := 8 + 5 + F(8) + (7 \times F(3))^5$$
$$\mathbf{537859} := 9 + 5 + F(8) + (7 \times F(3))^5$$

$$\mathbf{589840} := 0 + 4^8 \times 9 + F(8) - 5$$
$$\mathbf{589841} := 1 + 4^8 \times 9 + F(8) - 5$$
$$\mathbf{589842} := 2 + 4^8 \times 9 + F(8) - 5$$
$$\mathbf{589843} := 3 + 4^8 \times 9 + F(8) - 5$$
$$\mathbf{589844} := 4 + 4^8 \times 9 + F(8) - 5$$
$$\mathbf{589845} := 5 + 4^8 \times 9 + F(8) - 5$$
$$\mathbf{589846} := 6 + 4^8 \times 9 + F(8) - 5$$
$$\mathbf{589847} := 7 + 4^8 \times 9 + F(8) - 5$$
$$\mathbf{589848} := 8 + 4^8 \times 9 + F(8) - 5$$
$$\mathbf{589849} := 9 + 4^8 \times 9 + F(8) - 5$$

$$\mathbf{624030} := 0 + F(30) \times F(4)/(-2 + 6)$$
$$\mathbf{624031} := 1 + F(30) \times F(4)/(-2 + 6)$$
$$\mathbf{624032} := 2 + F(30) \times F(4)/(-2 + 6)$$
$$\mathbf{624033} := 3 + F(30) \times F(4)/(-2 + 6)$$
$$\mathbf{624034} := 4 + F(30) \times F(4)/(-2 + 6)$$
$$\mathbf{624035} := 5 + F(30) \times F(4)/(-2 + 6)$$
$$\mathbf{624036} := 6 + F(30) \times F(4)/(-2 + 6)$$
$$\mathbf{624037} := 7 + F(30) \times F(4)/(-2 + 6)$$
$$\mathbf{624038} := 8 + F(30) \times F(4)/(-2 + 6)$$
$$\mathbf{624039} := 9 + F(30) \times F(4)/(-2 + 6)$$

$$\mathbf{742570} := 0 + 2 \times F(7)^5 - F(4) - F(7)$$
$$\mathbf{742571} := 1 + 2 \times F(7)^5 - F(4) - F(7)$$
$$\mathbf{742572} := 2 + 2 \times F(7)^5 - F(4) - F(7)$$
$$\mathbf{742573} := 3 + 2 \times F(7)^5 - F(4) - F(7)$$
$$\mathbf{742574} := 4 + 2 \times F(7)^5 - F(4) - F(7)$$
$$\mathbf{742575} := 5 + 2 \times F(7)^5 - F(4) - F(7)$$
$$\mathbf{742576} := 6 + 2 \times F(7)^5 - F(4) - F(7)$$
$$\mathbf{742577} := 7 + 2 \times F(7)^5 - F(4) - F(7)$$
$$\mathbf{742578} := 8 + 2 \times F(7)^5 - F(4) - F(7)$$
$$\mathbf{742579} := 9 + 2 \times F(7)^5 - F(4) - F(7)$$

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$$\mathbf{832030} := 0 + F(30) - 2 \times (-3 + 8)$$
$$\mathbf{832031} := 1 + F(30) - 2 \times (-3 + 8)$$
$$\mathbf{832032} := 2 + F(30) - 2 \times (-3 + 8)$$
$$\mathbf{832033} := 3 + F(30) - 2 \times (-3 + 8)$$
$$\mathbf{832034} := 4 + F(30) - 2 \times (-3 + 8)$$
$$\mathbf{832035} := 5 + F(30) - 2 \times (-3 + 8)$$
$$\mathbf{832036} := 6 + F(30) - 2 \times (-3 + 8)$$
$$\mathbf{832037} := 7 + F(30) - 2 \times (-3 + 8)$$
$$\mathbf{832038} := 8 + F(30) - 2 \times (-3 + 8)$$
$$\mathbf{832039} := 9 + F(30) - 2 \times (-3 + 8)$$

$$\mathbf{832650} := 0 + F(5 \times 6) + F(23 - 8)$$
$$\mathbf{832651} := 1 + F(5 \times 6) + F(23 - 8)$$
$$\mathbf{832652} := 2 + F(5 \times 6) + F(23 - 8)$$
$$\mathbf{832653} := 3 + F(5 \times 6) + F(23 - 8)$$
$$\mathbf{832654} := 4 + F(5 \times 6) + F(23 - 8)$$
$$\mathbf{832655} := 5 + F(5 \times 6) + F(23 - 8)$$
$$\mathbf{832656} := 6 + F(5 \times 6) + F(23 - 8)$$
$$\mathbf{832657} := 7 + F(5 \times 6) + F(23 - 8)$$
$$\mathbf{832658} := 8 + F(5 \times 6) + F(23 - 8)$$
$$\mathbf{832659} := 9 + F(5 \times 6) + F(23 - 8)$$

$$\mathbf{839760} := 0 + (6^7 - 9) \times 3 - F(8)$$
$$\mathbf{839761} := 1 + (6^7 - 9) \times 3 - F(8)$$
$$\mathbf{839762} := 2 + (6^7 - 9) \times 3 - F(8)$$
$$\mathbf{839763} := 3 + (6^7 - 9) \times 3 - F(8)$$
$$\mathbf{839764} := 4 + (6^7 - 9) \times 3 - F(8)$$
$$\mathbf{839765} := 5 + (6^7 - 9) \times 3 - F(8)$$
$$\mathbf{839766} := 6 + (6^7 - 9) \times 3 - F(8)$$
$$\mathbf{839767} := 7 + (6^7 - 9) \times 3 - F(8)$$
$$\mathbf{839768} := 8 + (6^7 - 9) \times 3 - F(8)$$
$$\mathbf{839769} := 9 + (6^7 - 9) \times 3 - F(8)$$

$$\mathbf{974780} := 0 + F(8 + 7) \times 47 \times F(9)$$
$$\mathbf{974781} := 1 + F(8 + 7) \times 47 \times F(9)$$
$$\mathbf{974782} := 2 + F(8 + 7) \times 47 \times F(9)$$
$$\mathbf{974783} := 3 + F(8 + 7) \times 47 \times F(9)$$
$$\mathbf{974784} := 4 + F(8 + 7) \times 47 \times F(9)$$
$$\mathbf{974785} := 5 + F(8 + 7) \times 47 \times F(9)$$
$$\mathbf{974786} := 6 + F(8 + 7) \times 47 \times F(9)$$
$$\mathbf{974787} := 7 + F(8 + 7) \times 47 \times F(9)$$
$$\mathbf{974788} := 8 + F(8 + 7) \times 47 \times F(9)$$
$$\mathbf{974789} := 9 + F(8 + 7) \times 47 \times F(9)$$

3.3.2 With Factorial

$$\mathbf{360} := 0 + 6!/F(3)$$
$$\mathbf{361} := 1 + 6!/F(3)$$
$$\mathbf{362} := 2 + 6!/F(3)$$
$$\mathbf{363} := 3 + 6!/F(3)$$
$$\mathbf{364} := 4 + 6!/F(3)$$
$$\mathbf{365} := 5 + 6!/F(3)$$
$$\mathbf{366} := 6 + 6!/F(3)$$
$$\mathbf{367} := 7 + 6!/F(3)$$
$$\mathbf{368} := 8 + 6!/F(3)$$
$$\mathbf{369} := 9 + 6!/F(3)$$

$$\mathbf{15490} := 0 + F(9) + F(4!)/F(5 - 1)$$
$$\mathbf{15491} := 1 + F(9) + F(4!)/F(5 - 1)$$
$$\mathbf{15492} := 2 + F(9) + F(4!)/F(5 - 1)$$
$$\mathbf{15493} := 3 + F(9) + F(4!)/F(5 - 1)$$
$$\mathbf{15494} := 4 + F(9) + F(4!)/F(5 - 1)$$
$$\mathbf{15495} := 5 + F(9) + F(4!)/F(5 - 1)$$
$$\mathbf{15496} := 6 + F(9) + F(4!)/F(5 - 1)$$
$$\mathbf{15497} := 7 + F(9) + F(4!)/F(5 - 1)$$
$$\mathbf{15498} := 8 + F(9) + F(4!)/F(5 - 1)$$
$$\mathbf{15499} := 9 + F(9) + F(4!)/F(5 - 1)$$

$$\mathbf{18480} := 0 + 8!/F(4) + (8 - 1)!$$
$$\mathbf{18481} := 1 + 8!/F(4) + (8 - 1)!$$
$$\mathbf{18482} := 2 + 8!/F(4) + (8 - 1)!$$
$$\mathbf{18483} := 3 + 8!/F(4) + (8 - 1)!$$
$$\mathbf{18484} := 4 + 8!/F(4) + (8 - 1)!$$
$$\mathbf{18485} := 5 + 8!/F(4) + (8 - 1)!$$
$$\mathbf{18486} := 6 + 8!/F(4) + (8 - 1)!$$
$$\mathbf{18487} := 7 + 8!/F(4) + (8 - 1)!$$

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$$\mathbf{18488} := 8 + 8!/F(4) + (8-1)!$$
$$\mathbf{18489} := 9 + 8!/F(4) + (8-1)!$$

$$\mathbf{20730} := 0 - 3! + F(F(7) - 0!)^2$$
$$\mathbf{20731} := 1 - 3! + F(F(7) - 0!)^2$$
$$\mathbf{20732} := 2 - 3! + F(F(7) - 0!)^2$$
$$\mathbf{20733} := 3 - 3! + F(F(7) - 0!)^2$$
$$\mathbf{20734} := 4 - 3! + F(F(7) - 0!)^2$$
$$\mathbf{20735} := 5 - 3! + F(F(7) - 0!)^2$$
$$\mathbf{20736} := 6 - 3! + F(F(7) - 0!)^2$$
$$\mathbf{20737} := 7 - 3! + F(F(7) - 0!)^2$$
$$\mathbf{20738} := 8 - 3! + F(F(7) - 0!)^2$$
$$\mathbf{20739} := 9 - 3! + F(F(7) - 0!)^2$$

$$\mathbf{20740} := 0 + 4 + F(F(7) - 0!)^2$$
$$\mathbf{20741} := 1 + 4 + F(F(7) - 0!)^2$$
$$\mathbf{20742} := 2 + 4 + F(F(7) - 0!)^2$$
$$\mathbf{20743} := 3 + 4 + F(F(7) - 0!)^2$$
$$\mathbf{20744} := 4 + 4 + F(F(7) - 0!)^2$$
$$\mathbf{20745} := 5 + 4 + F(F(7) - 0!)^2$$
$$\mathbf{20746} := 6 + 4 + F(F(7) - 0!)^2$$
$$\mathbf{20747} := 7 + 4 + F(F(7) - 0!)^2$$
$$\mathbf{20748} := 8 + 4 + F(F(7) - 0!)^2$$
$$\mathbf{20749} := 9 + 4 + F(F(7) - 0!)^2$$

$$\mathbf{23180} := 0 + (-8 + F((1+3)!))/2$$
$$\mathbf{23181} := 1 + (-8 + F((1+3)!))/2$$
$$\mathbf{23182} := 2 + (-8 + F((1+3)!))/2$$
$$\mathbf{23183} := 3 + (-8 + F((1+3)!))/2$$
$$\mathbf{23184} := 4 + (-8 + F((1+3)!))/2$$
$$\mathbf{23185} := 5 + (-8 + F((1+3)!))/2$$
$$\mathbf{23186} := 6 + (-8 + F((1+3)!))/2$$
$$\mathbf{23187} := 7 + (-8 + F((1+3)!))/2$$
$$\mathbf{23188} := 8 + (-8 + F((1+3)!))/2$$
$$\mathbf{23189} := 9 + (-8 + F((1+3)!))/2$$

$$\mathbf{31250} := 0 + 5^{(2+1)!} \times F(3)$$
$$\mathbf{31251} := 1 + 5^{(2+1)!} \times F(3)$$
$$\mathbf{31252} := 2 + 5^{(2+1)!} \times F(3)$$
$$\mathbf{31253} := 3 + 5^{(2+1)!} \times F(3)$$
$$\mathbf{31254} := 4 + 5^{(2+1)!} \times F(3)$$
$$\mathbf{31255} := 5 + 5^{(2+1)!} \times F(3)$$
$$\mathbf{31256} := 6 + 5^{(2+1)!} \times F(3)$$
$$\mathbf{31257} := 7 + 5^{(2+1)!} \times F(3)$$
$$\mathbf{31258} := 8 + 5^{(2+1)!} \times F(3)$$
$$\mathbf{31259} := 9 + 5^{(2+1)!} \times F(3)$$

$$\mathbf{33480} := 0 - (8! + F(4)!!)/3! + F(3!)!$$
$$\mathbf{33481} := 1 - (8! + F(4)!!)/3! + F(3!)!$$
$$\mathbf{33482} := 2 - (8! + F(4)!!)/3! + F(3!)!$$
$$\mathbf{33483} := 3 - (8! + F(4)!!)/3! + F(3!)!$$
$$\mathbf{33484} := 4 - (8! + F(4)!!)/3! + F(3!)!$$
$$\mathbf{33485} := 5 - (8! + F(4)!!)/3! + F(3!)!$$
$$\mathbf{33486} := 6 - (8! + F(4)!!)/3! + F(3!)!$$
$$\mathbf{33487} := 7 - (8! + F(4)!!)/3! + F(3!)!$$
$$\mathbf{33488} := 8 - (8! + F(4)!!)/3! + F(3!)!$$
$$\mathbf{33489} := 9 - (8! + F(4)!!)/3! + F(3!)!$$

$$\mathbf{33580} := 0 - (8! + 5!)/3! + F(3!)!$$
$$\mathbf{33581} := 1 - (8! + 5!)/3! + F(3!)!$$
$$\mathbf{33582} := 2 - (8! + 5!)/3! + F(3!)!$$
$$\mathbf{33583} := 3 - (8! + 5!)/3! + F(3!)!$$
$$\mathbf{33584} := 4 - (8! + 5!)/3! + F(3!)!$$
$$\mathbf{33585} := 5 - (8! + 5!)/3! + F(3!)!$$
$$\mathbf{33586} := 6 - (8! + 5!)/3! + F(3!)!$$
$$\mathbf{33587} := 7 - (8! + 5!)/3! + F(3!)!$$
$$\mathbf{33588} := 8 - (8! + 5!)/3! + F(3!)!$$
$$\mathbf{33589} := 9 - (8! + 5!)/3! + F(3!)!$$

$$\mathbf{34390} := 0 + 9!/F(3!) - 4! - F(F(F(3!)))$$
$$\mathbf{34391} := 1 + 9!/F(3!) - 4! - F(F(F(3!)))$$
$$\mathbf{34392} := 2 + 9!/F(3!) - 4! - F(F(F(3!)))$$
$$\mathbf{34393} := 3 + 9!/F(3!) - 4! - F(F(F(3!)))$$
$$\mathbf{34394} := 4 + 9!/F(3!) - 4! - F(F(F(3!)))$$
$$\mathbf{34395} := 5 + 9!/F(3!) - 4! - F(F(F(3!)))$$
$$\mathbf{34396} := 6 + 9!/F(3!) - 4! - F(F(F(3!)))$$
$$\mathbf{34397} := 7 + 9!/F(3!) - 4! - F(F(F(3!)))$$

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$34398 := 8 + 9!/F(3!) - 4! - F(F(F(3!)))$
$34399 := 9 + 9!/F(3!) - 4! - F(F(F(3!)))$

$34490 := 0 - F(9) - F(4!)/F(F(4)!) + F(3!)!$
$34491 := 1 - F(9) - F(4!)/F(F(4)!) + F(3!)!$
$34492 := 2 - F(9) - F(4!)/F(F(4)!) + F(3!)!$
$34493 := 3 - F(9) - F(4!)/F(F(4)!) + F(3!)!$
$34494 := 4 - F(9) - F(4!)/F(F(4)!) + F(3!)!$
$34495 := 5 - F(9) - F(4!)/F(F(4)!) + F(3!)!$
$34496 := 6 - F(9) - F(4!)/F(F(4)!) + F(3!)!$
$34497 := 7 - F(9) - F(4!)/F(F(4)!) + F(3!)!$
$34498 := 8 - F(9) - F(4!)/F(F(4)!) + F(3!)!$
$34499 := 9 - F(9) - F(4!)/F(F(4)!) + F(3!)!$

$35640 := 0 - F(4)!! \times (F(F(6)) - 5!)/F(3)$
$35641 := 1 - F(4)!! \times (F(F(6)) - 5!)/F(3)$
$35642 := 2 - F(4)!! \times (F(F(6)) - 5!)/F(3)$
$35643 := 3 - F(4)!! \times (F(F(6)) - 5!)/F(3)$
$35644 := 4 - F(4)!! \times (F(F(6)) - 5!)/F(3)$
$35645 := 5 - F(4)!! \times (F(F(6)) - 5!)/F(3)$
$35646 := 6 - F(4)!! \times (F(F(6)) - 5!)/F(3)$
$35647 := 7 - F(4)!! \times (F(F(6)) - 5!)/F(3)$
$35648 := 8 - F(4)!! \times (F(F(6)) - 5!)/F(3)$
$35649 := 9 - F(4)!! \times (F(F(6)) - 5!)/F(3)$

$35960 := 0 - F(6)!/9 + 5! + F(3!)!$
$35961 := 1 - F(6)!/9 + 5! + F(3!)!$
$35962 := 2 - F(6)!/9 + 5! + F(3!)!$
$35963 := 3 - F(6)!/9 + 5! + F(3!)!$
$35964 := 4 - F(6)!/9 + 5! + F(3!)!$
$35965 := 5 - F(6)!/9 + 5! + F(3!)!$
$35966 := 6 - F(6)!/9 + 5! + F(3!)!$
$35967 := 7 - F(6)!/9 + 5! + F(3!)!$
$35968 := 8 - F(6)!/9 + 5! + F(3!)!$
$35969 := 9 - F(6)!/9 + 5! + F(3!)!$

$36050 := 0 + 50 \times (6! + F(F(3)))$
$36051 := 1 + 50 \times (6! + F(F(3)))$
$36052 := 2 + 50 \times (6! + F(F(3)))$
$36053 := 3 + 50 \times (6! + F(F(3)))$
$36054 := 4 + 50 \times (6! + F(F(3)))$
$36055 := 5 + 50 \times (6! + F(F(3)))$
$36056 := 6 + 50 \times (6! + F(F(3)))$
$36057 := 7 + 50 \times (6! + F(F(3)))$
$36058 := 8 + 50 \times (6! + F(F(3)))$
$36059 := 9 + 50 \times (6! + F(F(3)))$

$36430 := 0 + 3!^{F(4)!} - F(F(F(6))) + 3!!$
$36431 := 1 + 3!^{F(4)!} - F(F(F(6))) + 3!!$
$36432 := 2 + 3!^{F(4)!} - F(F(F(6))) + 3!!$
$36433 := 3 + 3!^{F(4)!} - F(F(F(6))) + 3!!$
$36434 := 4 + 3!^{F(4)!} - F(F(F(6))) + 3!!$
$36435 := 5 + 3!^{F(4)!} - F(F(F(6))) + 3!!$
$36436 := 6 + 3!^{F(4)!} - F(F(F(6))) + 3!!$
$36437 := 7 + 3!^{F(4)!} - F(F(F(6))) + 3!!$
$36438 := 8 + 3!^{F(4)!} - F(F(F(6))) + 3!!$
$36439 := 9 + 3!^{F(4)!} - F(F(F(6))) + 3!!$

$36440 := 0 + F(4) \times 4!!/F(F(6))! + F(3!)$
$36441 := 1 + F(4) \times 4!!/F(F(6))! + F(3!)$
$36442 := 2 + F(4) \times 4!!/F(F(6))! + F(3!)$
$36443 := 3 + F(4) \times 4!!/F(F(6))! + F(3!)$
$36444 := 4 + F(4) \times 4!!/F(F(6))! + F(3!)$
$36445 := 5 + F(4) \times 4!!/F(F(6))! + F(3!)$
$36446 := 6 + F(4) \times 4!!/F(F(6))! + F(3!)$
$36447 := 7 + F(4) \times 4!!/F(F(6))! + F(3!)$
$36448 := 8 + F(4) \times 4!!/F(F(6))! + F(3!)$
$36449 := 9 + F(4) \times 4!!/F(F(6))! + F(3!)$

$36960 := 0 + F(6)!/(9 - F(F(6))) + F(3!)!$
$36961 := 1 + F(6)!/(9 - F(F(6))) + F(3!)!$
$36962 := 2 + F(6)!/(9 - F(F(6))) + F(3!)!$
$36963 := 3 + F(6)!/(9 - F(F(6))) + F(3!)!$
$36964 := 4 + F(6)!/(9 - F(F(6))) + F(3!)!$
$36965 := 5 + F(6)!/(9 - F(F(6))) + F(3!)!$
$36966 := 6 + F(6)!/(9 - F(F(6))) + F(3!)!$
$36967 := 7 + F(6)!/(9 - F(F(6))) + F(3!)!$
$36968 := 8 + F(6)!/(9 - F(F(6))) + F(3!)!$
$36969 := 9 + F(6)!/(9 - F(F(6))) + F(3!)!$

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$$37800 := 0 + 08! - 7!/F(3)$$
$$37801 := 1 + 08! - 7!/F(3)$$
$$37802 := 2 + 08! - 7!/F(3)$$
$$37803 := 3 + 08! - 7!/F(3)$$
$$37804 := 4 + 08! - 7!/F(3)$$
$$37805 := 5 + 08! - 7!/F(3)$$
$$37806 := 6 + 08! - 7!/F(3)$$
$$37807 := 7 + 08! - 7!/F(3)$$
$$37808 := 8 + 08! - 7!/F(3)$$
$$37809 := 9 + 08! - 7!/F(3)$$

$$38400 := 0 + (F(F(04)!))! - 8!/F(F(3!))$$
$$38401 := 1 + (F(F(04)!))! - 8!/F(F(3!))$$
$$38402 := 2 + (F(F(04)!))! - 8!/F(F(3!))$$
$$38403 := 3 + (F(F(04)!))! - 8!/F(F(3!))$$
$$38404 := 4 + (F(F(04)!))! - 8!/F(F(3!))$$
$$38405 := 5 + (F(F(04)!))! - 8!/F(F(3!))$$
$$38406 := 6 + (F(F(04)!))! - 8!/F(F(3!))$$
$$38407 := 7 + (F(F(04)!))! - 8!/F(F(3!))$$
$$38408 := 8 + (F(F(04)!))! - 8!/F(F(3!))$$
$$38409 := 9 + (F(F(04)!))! - 8!/F(F(3!))$$

$$38640 := 0 + F(4!)/6 \times (8 - 3)$$
$$38641 := 1 + F(4!)/6 \times (8 - 3)$$
$$38642 := 2 + F(4!)/6 \times (8 - 3)$$
$$38643 := 3 + F(4!)/6 \times (8 - 3)$$
$$38644 := 4 + F(4!)/6 \times (8 - 3)$$
$$38645 := 5 + F(4!)/6 \times (8 - 3)$$
$$38646 := 6 + F(4!)/6 \times (8 - 3)$$
$$38647 := 7 + F(4!)/6 \times (8 - 3)$$
$$38648 := 8 + F(4!)/6 \times (8 - 3)$$
$$38649 := 9 + F(4!)/6 \times (8 - 3)$$

$$39280 := 0 - (8/2)! + F(9)^3$$
$$39281 := 1 - (8/2)! + F(9)^3$$
$$39282 := 2 - (8/2)! + F(9)^3$$
$$39283 := 3 - (8/2)! + F(9)^3$$
$$39284 := 4 - (8/2)! + F(9)^3$$
$$39285 := 5 - (8/2)! + F(9)^3$$
$$39286 := 6 - (8/2)! + F(9)^3$$
$$39287 := 7 - (8/2)! + F(9)^3$$
$$39288 := 8 - (8/2)! + F(9)^3$$
$$39289 := 9 - (8/2)! + F(9)^3$$

$$39310 := 0 + 1 \times 3! + F(9)^3$$
$$39311 := 1 + 1 \times 3! + F(9)^3$$
$$39312 := 2 + 1 \times 3! + F(9)^3$$
$$39313 := 3 + 1 \times 3! + F(9)^3$$
$$39314 := 4 + 1 \times 3! + F(9)^3$$
$$39315 := 5 + 1 \times 3! + F(9)^3$$
$$39316 := 6 + 1 \times 3! + F(9)^3$$
$$39317 := 7 + 1 \times 3! + F(9)^3$$
$$39318 := 8 + 1 \times 3! + F(9)^3$$
$$39319 := 9 + 1 \times 3! + F(9)^3$$

$$39320 := 0 + 2 \times F(3!) + F(9)^3$$
$$39321 := 1 + 2 \times F(3!) + F(9)^3$$
$$39322 := 2 + 2 \times F(3!) + F(9)^3$$
$$39323 := 3 + 2 \times F(3!) + F(9)^3$$
$$39324 := 4 + 2 \times F(3!) + F(9)^3$$
$$39325 := 5 + 2 \times F(3!) + F(9)^3$$
$$39326 := 6 + 2 \times F(3!) + F(9)^3$$
$$39327 := 7 + 2 \times F(3!) + F(9)^3$$
$$39328 := 8 + 2 \times F(3!) + F(9)^3$$
$$39329 := 9 + 2 \times F(3!) + F(9)^3$$

$$40230 := 0 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$
$$40231 := 1 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$
$$40232 := 2 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$
$$40233 := 3 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$
$$40234 := 4 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$
$$40235 := 5 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$
$$40236 := 6 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$
$$40237 := 7 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$
$$40238 := 8 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$
$$40239 := 9 + F(3!)! - (2 + 0!)!!/F(F(4)!)$$

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$$40260 := 0 + F(6)! - 20 \times F(4)$$
$$40261 := 1 + F(6)! - 20 \times F(4)$$
$$40262 := 2 + F(6)! - 20 \times F(4)$$
$$40263 := 3 + F(6)! - 20 \times F(4)$$
$$40264 := 4 + F(6)! - 20 \times F(4)$$
$$40265 := 5 + F(6)! - 20 \times F(4)$$
$$40266 := 6 + F(6)! - 20 \times F(4)$$
$$40267 := 7 + F(6)! - 20 \times F(4)$$
$$40268 := 8 + F(6)! - 20 \times F(4)$$
$$40269 := 9 + F(6)! - 20 \times F(4)$$

$$40380 := 0 + 8! + 30 \times F(F(4))$$
$$40381 := 1 + 8! + 30 \times F(F(4))$$
$$40382 := 2 + 8! + 30 \times F(F(4))$$
$$40383 := 3 + 8! + 30 \times F(F(4))$$
$$40384 := 4 + 8! + 30 \times F(F(4))$$
$$40385 := 5 + 8! + 30 \times F(F(4))$$
$$40386 := 6 + 8! + 30 \times F(F(4))$$
$$40387 := 7 + 8! + 30 \times F(F(4))$$
$$40388 := 8 + 8! + 30 \times F(F(4))$$
$$40389 := 9 + 8! + 30 \times F(F(4))$$

$$40740 := 0 + F(F(4)!)! + 70 \times F(4)!$$
$$40741 := 1 + F(F(4)!)! + 70 \times F(4)!$$
$$40742 := 2 + F(F(4)!)! + 70 \times F(4)!$$
$$40743 := 3 + F(F(4)!)! + 70 \times F(4)!$$
$$40744 := 4 + F(F(4)!)! + 70 \times F(4)!$$
$$40745 := 5 + F(F(4)!)! + 70 \times F(4)!$$
$$40746 := 6 + F(F(4)!)! + 70 \times F(4)!$$
$$40747 := 7 + F(F(4)!)! + 70 \times F(4)!$$
$$40748 := 8 + F(F(4)!)! + 70 \times F(4)!$$
$$40749 := 9 + F(F(4)!)! + 70 \times F(4)!$$

$$41040 := 0 + F(4)!! + ((0! + 1)^{F(4)})!$$
$$41041 := 1 + F(4)!! + ((0! + 1)^{F(4)})!$$
$$41042 := 2 + F(4)!! + ((0! + 1)^{F(4)})!$$
$$41043 := 3 + F(4)!! + ((0! + 1)^{F(4)})!$$
$$41044 := 4 + F(4)!! + ((0! + 1)^{F(4)})!$$
$$41045 := 5 + F(4)!! + ((0! + 1)^{F(4)})!$$
$$41046 := 6 + F(4)!! + ((0! + 1)^{F(4)})!$$
$$41047 := 7 + F(4)!! + ((0! + 1)^{F(4)})!$$
$$41048 := 8 + F(4)!! + ((0! + 1)^{F(4)})!$$
$$41049 := 9 + F(4)!! + ((0! + 1)^{F(4)})!$$

$$42240 := 0 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$
$$42241 := 1 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$
$$42242 := 2 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$
$$42243 := 3 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$
$$42244 := 4 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$
$$42245 := 5 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$
$$42246 := 6 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$
$$42247 := 7 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$
$$42248 := 8 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$
$$42249 := 9 + (F(F(4)!)!/F(F(F(2+2)!)) + F(F(4)!)!)$$

$$42840 := 0 - F(F(4)!) \times F(8)^2 + F(4!)$$
$$42841 := 1 - F(F(4)!) \times F(8)^2 + F(4!)$$
$$42842 := 2 - F(F(4)!) \times F(8)^2 + F(4!)$$
$$42843 := 3 - F(F(4)!) \times F(8)^2 + F(4!)$$
$$42844 := 4 - F(F(4)!) \times F(8)^2 + F(4!)$$
$$42845 := 5 - F(F(4)!) \times F(8)^2 + F(4!)$$
$$42846 := 6 - F(F(4)!) \times F(8)^2 + F(4!)$$
$$42847 := 7 - F(F(4)!) \times F(8)^2 + F(4!)$$
$$42848 := 8 - F(F(4)!) \times F(8)^2 + F(4!)$$
$$42849 := 9 - F(F(4)!) \times F(8)^2 + F(4!)$$

$$43440 := 0 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$
$$43441 := 1 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$
$$43442 := 2 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$
$$43443 := 3 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$
$$43444 := 4 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$
$$43445 := 5 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$
$$43446 := 6 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$
$$43447 := 7 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$
$$43448 := 8 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$
$$43449 := 9 + F(4!) - F(4!)/F(F(3!)) - F(4)!!$$

$$43740 := 0 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$

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$$\mathbf{43741} := 1 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$
$$\mathbf{43742} := 2 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$
$$\mathbf{43743} := 3 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$
$$\mathbf{43744} := 4 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$
$$\mathbf{43745} := 5 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$
$$\mathbf{43746} := 6 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$
$$\mathbf{43747} := 7 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$
$$\mathbf{43748} := 8 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$
$$\mathbf{43749} := 9 + F(4)^7 \times (F(F(3!)) - F(F(F(4))))$$

$$\mathbf{44160} := 0 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$
$$\mathbf{44161} := 1 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$
$$\mathbf{44162} := 2 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$
$$\mathbf{44163} := 3 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$
$$\mathbf{44164} := 4 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$
$$\mathbf{44165} := 5 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$
$$\mathbf{44166} := 6 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$
$$\mathbf{44167} := 7 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$
$$\mathbf{44168} := 8 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$
$$\mathbf{44169} := 9 + F(6)! \times (-1 + 4!)/F(F(F(4)!))$$

$$\mathbf{44320} := 0 - 2^{F(3!)+F(4)} + F(4!)$$
$$\mathbf{44321} := 1 - 2^{F(3!)+F(4)} + F(4!)$$
$$\mathbf{44322} := 2 - 2^{F(3!)+F(4)} + F(4!)$$
$$\mathbf{44323} := 3 - 2^{F(3!)+F(4)} + F(4!)$$
$$\mathbf{44324} := 4 - 2^{F(3!)+F(4)} + F(4!)$$
$$\mathbf{44325} := 5 - 2^{F(3!)+F(4)} + F(4!)$$
$$\mathbf{44326} := 6 - 2^{F(3!)+F(4)} + F(4!)$$
$$\mathbf{44327} := 7 - 2^{F(3!)+F(4)} + F(4!)$$
$$\mathbf{44328} := 8 - 2^{F(3!)+F(4)} + F(4!)$$
$$\mathbf{44329} := 9 - 2^{F(3!)+F(4)} + F(4!)$$

$$\mathbf{44640} := 0 + F(4!) - (F(6) + 4)^{F(4)}$$
$$\mathbf{44641} := 1 + F(4!) - (F(6) + 4)^{F(4)}$$
$$\mathbf{44642} := 2 + F(4!) - (F(6) + 4)^{F(4)}$$
$$\mathbf{44643} := 3 + F(4!) - (F(6) + 4)^{F(4)}$$
$$\mathbf{44644} := 4 + F(4!) - (F(6) + 4)^{F(4)}$$
$$\mathbf{44645} := 5 + F(4!) - (F(6) + 4)^{F(4)}$$
$$\mathbf{44646} := 6 + F(4!) - (F(6) + 4)^{F(4)}$$
$$\mathbf{44647} := 7 + F(4!) - (F(6) + 4)^{F(4)}$$
$$\mathbf{44648} := 8 + F(4!) - (F(6) + 4)^{F(4)}$$
$$\mathbf{44649} := 9 + F(4!) - (F(6) + 4)^{F(4)}$$

$$\mathbf{44760} := 0 - 67 \times 4! + F(4!)$$
$$\mathbf{44761} := 1 - 67 \times 4! + F(4!)$$
$$\mathbf{44762} := 2 - 67 \times 4! + F(4!)$$
$$\mathbf{44763} := 3 - 67 \times 4! + F(4!)$$
$$\mathbf{44764} := 4 - 67 \times 4! + F(4!)$$
$$\mathbf{44765} := 5 - 67 \times 4! + F(4!)$$
$$\mathbf{44766} := 6 - 67 \times 4! + F(4!)$$
$$\mathbf{44767} := 7 - 67 \times 4! + F(4!)$$
$$\mathbf{44768} := 8 - 67 \times 4! + F(4!)$$
$$\mathbf{44769} := 9 - 67 \times 4! + F(4!)$$

$$\mathbf{45390} := 0 + (9!/F(3) + 5!)/4$$
$$\mathbf{45391} := 1 + (9!/F(3) + 5!)/4$$
$$\mathbf{45392} := 2 + (9!/F(3) + 5!)/4$$
$$\mathbf{45393} := 3 + (9!/F(3) + 5!)/4$$
$$\mathbf{45394} := 4 + (9!/F(3) + 5!)/4$$
$$\mathbf{45395} := 5 + (9!/F(3) + 5!)/4$$
$$\mathbf{45396} := 6 + (9!/F(3) + 5!)/4$$
$$\mathbf{45397} := 7 + (9!/F(3) + 5!)/4$$
$$\mathbf{45398} := 8 + (9!/F(3) + 5!)/4$$
$$\mathbf{45399} := 9 + (9!/F(3) + 5!)/4$$

$$\mathbf{46080} := 0 + 8!/F(F(06)) \times 4!$$
$$\mathbf{46081} := 1 + 8!/F(F(06)) \times 4!$$
$$\mathbf{46082} := 2 + 8!/F(F(06)) \times 4!$$
$$\mathbf{46083} := 3 + 8!/F(F(06)) \times 4!$$
$$\mathbf{46084} := 4 + 8!/F(F(06)) \times 4!$$
$$\mathbf{46085} := 5 + 8!/F(F(06)) \times 4!$$
$$\mathbf{46086} := 6 + 8!/F(F(06)) \times 4!$$
$$\mathbf{46087} := 7 + 8!/F(F(06)) \times 4!$$
$$\mathbf{46088} := 8 + 8!/F(F(06)) \times 4!$$
$$\mathbf{46089} := 9 + 8!/F(F(06)) \times 4!$$

$$\mathbf{46240} := 0 + F(4!) - 2 \times 64$$

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$46241 := 1 + F(4!) - 2 \times 64$
$46242 := 2 + F(4!) - 2 \times 64$
$46243 := 3 + F(4!) - 2 \times 64$
$46244 := 4 + F(4!) - 2 \times 64$
$46245 := 5 + F(4!) - 2 \times 64$
$46246 := 6 + F(4!) - 2 \times 64$
$46247 := 7 + F(4!) - 2 \times 64$
$46248 := 8 + F(4!) - 2 \times 64$
$46249 := 9 + F(4!) - 2 \times 64$

$46280 := 0 - 82 - 6 + F(4!)$
$46281 := 1 - 82 - 6 + F(4!)$
$46282 := 2 - 82 - 6 + F(4!)$
$46283 := 3 - 82 - 6 + F(4!)$
$46284 := 4 - 82 - 6 + F(4!)$
$46285 := 5 - 82 - 6 + F(4!)$
$46286 := 6 - 82 - 6 + F(4!)$
$46287 := 7 - 82 - 6 + F(4!)$
$46288 := 8 - 82 - 6 + F(4!)$
$46289 := 9 - 82 - 6 + F(4!)$

$46530 := 0 + (3!^5 - F(F(6))) \times F(4)!$
$46531 := 1 + (3!^5 - F(F(6))) \times F(4)!$
$46532 := 2 + (3!^5 - F(F(6))) \times F(4)!$
$46533 := 3 + (3!^5 - F(F(6))) \times F(4)!$
$46534 := 4 + (3!^5 - F(F(6))) \times F(4)!$
$46535 := 5 + (3!^5 - F(F(6))) \times F(4)!$
$46536 := 6 + (3!^5 - F(F(6))) \times F(4)!$
$46537 := 7 + (3!^5 - F(F(6))) \times F(4)!$
$46538 := 8 + (3!^5 - F(F(6))) \times F(4)!$
$46539 := 9 + (3!^5 - F(F(6))) \times F(4)!$

$46760 := 0 + F(6)! \times 7/6! + F(4!)$
$46761 := 1 + F(6)! \times 7/6! + F(4!)$
$46762 := 2 + F(6)! \times 7/6! + F(4!)$
$46763 := 3 + F(6)! \times 7/6! + F(4!)$
$46764 := 4 + F(6)! \times 7/6! + F(4!)$
$46765 := 5 + F(6)! \times 7/6! + F(4!)$
$46766 := 6 + F(6)! \times 7/6! + F(4!)$
$46767 := 7 + F(6)! \times 7/6! + F(4!)$
$46768 := 8 + F(6)! \times 7/6! + F(4!)$
$46769 := 9 + F(6)! \times 7/6! + F(4!)$

$47040 := 0 + F(F(4)!)! + (0! + 7)!/F(4)!$
$47041 := 1 + F(F(4)!)! + (0! + 7)!/F(4)!$
$47042 := 2 + F(F(4)!)! + (0! + 7)!/F(4)!$
$47043 := 3 + F(F(4)!)! + (0! + 7)!/F(4)!$
$47044 := 4 + F(F(4)!)! + (0! + 7)!/F(4)!$
$47045 := 5 + F(F(4)!)! + (0! + 7)!/F(4)!$
$47046 := 6 + F(F(4)!)! + (0! + 7)!/F(4)!$
$47047 := 7 + F(F(4)!)! + (0! + 7)!/F(4)!$
$47048 := 8 + F(F(4)!)! + (0! + 7)!/F(4)!$
$47049 := 9 + F(F(4)!)! + (0! + 7)!/F(4)!$

$47210 := 0 + F(F(F((1 + 2)!)))/F(7) + F(4!)$
$47211 := 1 + F(F(F((1 + 2)!)))/F(7) + F(4!)$
$47212 := 2 + F(F(F((1 + 2)!)))/F(7) + F(4!)$
$47213 := 3 + F(F(F((1 + 2)!)))/F(7) + F(4!)$
$47214 := 4 + F(F(F((1 + 2)!)))/F(7) + F(4!)$
$47215 := 5 + F(F(F((1 + 2)!)))/F(7) + F(4!)$
$47216 := 6 + F(F(F((1 + 2)!)))/F(7) + F(4!)$
$47217 := 7 + F(F(F((1 + 2)!)))/F(7) + F(4!)$
$47218 := 8 + F(F(F((1 + 2)!)))/F(7) + F(4!)$
$47219 := 9 + F(F(F((1 + 2)!)))/F(7) + F(4!)$

$47670 := 0 + (F(F(7)) - 6) \times 7!/4!$
$47671 := 1 + (F(F(7)) - 6) \times 7!/4!$
$47672 := 2 + (F(F(7)) - 6) \times 7!/4!$
$47673 := 3 + (F(F(7)) - 6) \times 7!/4!$
$47674 := 4 + (F(F(7)) - 6) \times 7!/4!$
$47675 := 5 + (F(F(7)) - 6) \times 7!/4!$
$47676 := 6 + (F(F(7)) - 6) \times 7!/4!$
$47677 := 7 + (F(F(7)) - 6) \times 7!/4!$
$47678 := 8 + (F(F(7)) - 6) \times 7!/4!$
$47679 := 9 + (F(F(7)) - 6) \times 7!/4!$

$47880 := 0 + 8! + (8! + 7!)/F(4)!$
$47881 := 1 + 8! + (8! + 7!)/F(4)!$
$47882 := 2 + 8! + (8! + 7!)/F(4)!$

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$47883 := 3 + 8! + (8! + 7!)/F(4)!$
$47884 := 4 + 8! + (8! + 7!)/F(4)!$
$47885 := 5 + 8! + (8! + 7!)/F(4)!$
$47886 := 6 + 8! + (8! + 7!)/F(4)!$
$47887 := 7 + 8! + (8! + 7!)/F(4)!$
$47888 := 8 + 8! + (8! + 7!)/F(4)!$
$47889 := 9 + 8! + (8! + 7!)/F(4)!$

$49440 := 0 + F(4!) + F(F(4))^9 \times F(4)!$
$49441 := 1 + F(4!) + F(F(4))^9 \times F(4)!$
$49442 := 2 + F(4!) + F(F(4))^9 \times F(4)!$
$49443 := 3 + F(4!) + F(F(4))^9 \times F(4)!$
$49444 := 4 + F(4!) + F(F(4))^9 \times F(4)!$
$49445 := 5 + F(4!) + F(F(4))^9 \times F(4)!$
$49446 := 6 + F(4!) + F(F(4))^9 \times F(4)!$
$49447 := 7 + F(4!) + F(F(4))^9 \times F(4)!$
$49448 := 8 + F(4!) + F(F(4))^9 \times F(4)!$
$49449 := 9 + F(4!) + F(F(4))^9 \times F(4)!$

$49770 := 0 + 7! \times 79/F(F(4)!)$
$49771 := 1 + 7! \times 79/F(F(4)!)$
$49772 := 2 + 7! \times 79/F(F(4)!)$
$49773 := 3 + 7! \times 79/F(F(4)!)$
$49774 := 4 + 7! \times 79/F(F(4)!)$
$49775 := 5 + 7! \times 79/F(F(4)!)$
$49776 := 6 + 7! \times 79/F(F(4)!)$
$49777 := 7 + 7! \times 79/F(F(4)!)$
$49778 := 8 + 7! \times 79/F(F(4)!)$
$49779 := 9 + 7! \times 79/F(F(4)!)$

$52440 := 0 - (4 - F(F(F(4)!))^2) \times 5!$
$52441 := 1 - (4 - F(F(F(4)!))^2) \times 5!$
$52442 := 2 - (4 - F(F(F(4)!))^2) \times 5!$
$52443 := 3 - (4 - F(F(F(4)!))^2) \times 5!$
$52444 := 4 - (4 - F(F(F(4)!))^2) \times 5!$
$52445 := 5 - (4 - F(F(F(4)!))^2) \times 5!$
$52446 := 6 - (4 - F(F(F(4)!))^2) \times 5!$
$52447 := 7 - (4 - F(F(F(4)!))^2) \times 5!$
$52448 := 8 - (4 - F(F(F(4)!))^2) \times 5!$
$52449 := 9 - (4 - F(F(F(4)!))^2) \times 5!$

$52800 := 0 + (-0! + F(8)^2) \times 5!$
$52801 := 1 + (-0! + F(8)^2) \times 5!$
$52802 := 2 + (-0! + F(8)^2) \times 5!$
$52803 := 3 + (-0! + F(8)^2) \times 5!$
$52804 := 4 + (-0! + F(8)^2) \times 5!$
$52805 := 5 + (-0! + F(8)^2) \times 5!$
$52806 := 6 + (-0! + F(8)^2) \times 5!$
$52807 := 7 + (-0! + F(8)^2) \times 5!$
$52808 := 8 + (-0! + F(8)^2) \times 5!$
$52809 := 9 + (-0! + F(8)^2) \times 5!$

$52920 := 0 + F(-F(2) + 9)^2 \times 5!$
$52921 := 1 + F(-F(2) + 9)^2 \times 5!$
$52922 := 2 + F(-F(2) + 9)^2 \times 5!$
$52923 := 3 + F(-F(2) + 9)^2 \times 5!$
$52924 := 4 + F(-F(2) + 9)^2 \times 5!$
$52925 := 5 + F(-F(2) + 9)^2 \times 5!$
$52926 := 6 + F(-F(2) + 9)^2 \times 5!$
$52927 := 7 + F(-F(2) + 9)^2 \times 5!$
$52928 := 8 + F(-F(2) + 9)^2 \times 5!$
$52929 := 9 + F(-F(2) + 9)^2 \times 5!$

$53280 := 0 + (F(8)^2 + 3) \times 5!$
$53281 := 1 + (F(8)^2 + 3) \times 5!$
$53282 := 2 + (F(8)^2 + 3) \times 5!$
$53283 := 3 + (F(8)^2 + 3) \times 5!$
$53284 := 4 + (F(8)^2 + 3) \times 5!$
$53285 := 5 + (F(8)^2 + 3) \times 5!$
$53286 := 6 + (F(8)^2 + 3) \times 5!$
$53287 := 7 + (F(8)^2 + 3) \times 5!$
$53288 := 8 + (F(8)^2 + 3) \times 5!$
$53289 := 9 + (F(8)^2 + 3) \times 5!$

$53470 := 0 - 7!/4 + F(F(F(3!))) \times 5$

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$53471 := 1 - 7!/4 + F(F(F(3!))) \times 5$
$53472 := 2 - 7!/4 + F(F(F(3!))) \times 5$
$53473 := 3 - 7!/4 + F(F(F(3!))) \times 5$
$53474 := 4 - 7!/4 + F(F(F(3!))) \times 5$
$53475 := 5 - 7!/4 + F(F(F(3!))) \times 5$
$53476 := 6 - 7!/4 + F(F(F(3!))) \times 5$
$53477 := 7 - 7!/4 + F(F(F(3!))) \times 5$
$53478 := 8 - 7!/4 + F(F(F(3!))) \times 5$
$53479 := 9 - 7!/4 + F(F(F(3!))) \times 5$

$53640 := 0 + 4 \times F(6)!/3 - 5!$
$53641 := 1 + 4 \times F(6)!/3 - 5!$
$53642 := 2 + 4 \times F(6)!/3 - 5!$
$53643 := 3 + 4 \times F(6)!/3 - 5!$
$53644 := 4 + 4 \times F(6)!/3 - 5!$
$53645 := 5 + 4 \times F(6)!/3 - 5!$
$53646 := 6 + 4 \times F(6)!/3 - 5!$
$53647 := 7 + 4 \times F(6)!/3 - 5!$
$53648 := 8 + 4 \times F(6)!/3 - 5!$
$53649 := 9 + 4 \times F(6)!/3 - 5!$

$54270 := 0 + F(F(7))^2 - 4! + 5$
$54271 := 1 + F(F(7))^2 - 4! + 5$
$54272 := 2 + F(F(7))^2 - 4! + 5$
$54273 := 3 + F(F(7))^2 - 4! + 5$
$54274 := 4 + F(F(7))^2 - 4! + 5$
$54275 := 5 + F(F(7))^2 - 4! + 5$
$54276 := 6 + F(F(7))^2 - 4! + 5$
$54277 := 7 + F(F(7))^2 - 4! + 5$
$54278 := 8 + F(F(7))^2 - 4! + 5$
$54279 := 9 + F(F(7))^2 - 4! + 5$

$54530 := 0 + (F(F(F(3!))) - 5!/F(4)) \times 5$
$54531 := 1 + (F(F(F(3!))) - 5!/F(4)) \times 5$
$54532 := 2 + (F(F(F(3!))) - 5!/F(4)) \times 5$
$54533 := 3 + (F(F(F(3!))) - 5!/F(4)) \times 5$
$54534 := 4 + (F(F(F(3!))) - 5!/F(4)) \times 5$
$54535 := 5 + (F(F(F(3!))) - 5!/F(4)) \times 5$
$54536 := 6 + (F(F(F(3!))) - 5!/F(4)) \times 5$
$54537 := 7 + (F(F(F(3!))) - 5!/F(4)) \times 5$
$54538 := 8 + (F(F(F(3!))) - 5!/F(4)) \times 5$
$54539 := 9 + (F(F(F(3!))) - 5!/F(4)) \times 5$

$54580 := 0 + (F(F(8)) - 5!/4) \times 5$
$54581 := 1 + (F(F(8)) - 5!/4) \times 5$
$54582 := 2 + (F(F(8)) - 5!/4) \times 5$
$54583 := 3 + (F(F(8)) - 5!/4) \times 5$
$54584 := 4 + (F(F(8)) - 5!/4) \times 5$
$54585 := 5 + (F(F(8)) - 5!/4) \times 5$
$54586 := 6 + (F(F(8)) - 5!/4) \times 5$
$54587 := 7 + (F(F(8)) - 5!/4) \times 5$
$54588 := 8 + (F(F(8)) - 5!/4) \times 5$
$54589 := 9 + (F(F(8)) - 5!/4) \times 5$

$58920 := 0 + (2^9 - F(8)) \times 5!$
$58921 := 1 + (2^9 - F(8)) \times 5!$
$58922 := 2 + (2^9 - F(8)) \times 5!$
$58923 := 3 + (2^9 - F(8)) \times 5!$
$58924 := 4 + (2^9 - F(8)) \times 5!$
$58925 := 5 + (2^9 - F(8)) \times 5!$
$58926 := 6 + (2^9 - F(8)) \times 5!$
$58927 := 7 + (2^9 - F(8)) \times 5!$
$58928 := 8 + (2^9 - F(8)) \times 5!$
$58929 := 9 + (2^9 - F(8)) \times 5!$

$59070 := 0 + F(7 + 0!) + 9^5$
$59071 := 1 + F(7 + 0!) + 9^5$
$59072 := 2 + F(7 + 0!) + 9^5$
$59073 := 3 + F(7 + 0!) + 9^5$
$59074 := 4 + F(7 + 0!) + 9^5$
$59075 := 5 + F(7 + 0!) + 9^5$
$59076 := 6 + F(7 + 0!) + 9^5$
$59077 := 7 + F(7 + 0!) + 9^5$
$59078 := 8 + F(7 + 0!) + 9^5$
$59079 := 9 + F(7 + 0!) + 9^5$

$60360 := 0 + (-6! + (F(3!) + 0!)!)/6$

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$$60361 := 1 + (-6! + (F(3!) + 0!)!)/6$$
$$60362 := 2 + (-6! + (F(3!) + 0!)!)/6$$
$$60363 := 3 + (-6! + (F(3!) + 0!)!)/6$$
$$60364 := 4 + (-6! + (F(3!) + 0!)!)/6$$
$$60365 := 5 + (-6! + (F(3!) + 0!)!)/6$$
$$60366 := 6 + (-6! + (F(3!) + 0!)!)/6$$
$$60367 := 7 + (-6! + (F(3!) + 0!)!)/6$$
$$60368 := 8 + (-6! + (F(3!) + 0!)!)/6$$
$$60369 := 9 + (-6! + (F(3!) + 0!)!)/6$$

$$61440 := 0 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$
$$61441 := 1 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$
$$61442 := 2 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$
$$61443 := 3 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$
$$61444 := 4 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$
$$61445 := 5 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$
$$61446 := 6 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$
$$61447 := 7 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$
$$61448 := 8 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$
$$61449 := 9 + F(F(4)!)^{F(4)} \times (-1 + 6)!$$

$$63840 := 0 + F(F(4)!) \times F(8)!/(3 \times 6)!$$
$$63841 := 1 + F(F(4)!) \times F(8)!/(3 \times 6)!$$
$$63842 := 2 + F(F(4)!) \times F(8)!/(3 \times 6)!$$
$$63843 := 3 + F(F(4)!) \times F(8)!/(3 \times 6)!$$
$$63844 := 4 + F(F(4)!) \times F(8)!/(3 \times 6)!$$
$$63845 := 5 + F(F(4)!) \times F(8)!/(3 \times 6)!$$
$$63846 := 6 + F(F(4)!) \times F(8)!/(3 \times 6)!$$
$$63847 := 7 + F(F(4)!) \times F(8)!/(3 \times 6)!$$
$$63848 := 8 + F(F(4)!) \times F(8)!/(3 \times 6)!$$
$$63849 := 9 + F(F(4)!) \times F(8)!/(3 \times 6)!$$

$$64350 := 0 + (-5 + 3!!) \times F(4)!!/F(6)$$
$$64351 := 1 + (-5 + 3!!) \times F(4)!!/F(6)$$
$$64352 := 2 + (-5 + 3!!) \times F(4)!!/F(6)$$
$$64353 := 3 + (-5 + 3!!) \times F(4)!!/F(6)$$
$$64354 := 4 + (-5 + 3!!) \times F(4)!!/F(6)$$
$$64355 := 5 + (-5 + 3!!) \times F(4)!!/F(6)$$
$$64356 := 6 + (-5 + 3!!) \times F(4)!!/F(6)$$
$$64357 := 7 + (-5 + 3!!) \times F(4)!!/F(6)$$
$$64358 := 8 + (-5 + 3!!) \times F(4)!!/F(6)$$
$$64359 := 9 + (-5 + 3!!) \times F(4)!!/F(6)$$

$$64380 := 0 + (F(F(8)) - 3!^{F(4)}) \times 6$$
$$64381 := 1 + (F(F(8)) - 3!^{F(4)}) \times 6$$
$$64382 := 2 + (F(F(8)) - 3!^{F(4)}) \times 6$$
$$64383 := 3 + (F(F(8)) - 3!^{F(4)}) \times 6$$
$$64384 := 4 + (F(F(8)) - 3!^{F(4)}) \times 6$$
$$64385 := 5 + (F(F(8)) - 3!^{F(4)}) \times 6$$
$$64386 := 6 + (F(F(8)) - 3!^{F(4)}) \times 6$$
$$64387 := 7 + (F(F(8)) - 3!^{F(4)}) \times 6$$
$$64388 := 8 + (F(F(8)) - 3!^{F(4)}) \times 6$$
$$64389 := 9 + (F(F(8)) - 3!^{F(4)}) \times 6$$

$$64440 := 0 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$
$$64441 := 1 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$
$$64442 := 2 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$
$$64443 := 3 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$
$$64444 := 4 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$
$$64445 := 5 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$
$$64446 := 6 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$
$$64447 := 7 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$
$$64448 := 8 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$
$$64449 := 9 + F(4)!!/F(F(4)!) \times (-4 + 6!)$$

$$64560 := 0 + (F(6)!/5 + F(4)!) \times F(6)$$
$$64561 := 1 + (F(6)!/5 + F(4)!) \times F(6)$$
$$64562 := 2 + (F(6)!/5 + F(4)!) \times F(6)$$
$$64563 := 3 + (F(6)!/5 + F(4)!) \times F(6)$$
$$64564 := 4 + (F(6)!/5 + F(4)!) \times F(6)$$
$$64565 := 5 + (F(6)!/5 + F(4)!) \times F(6)$$
$$64566 := 6 + (F(6)!/5 + F(4)!) \times F(6)$$
$$64567 := 7 + (F(6)!/5 + F(4)!) \times F(6)$$
$$64568 := 8 + (F(6)!/5 + F(4)!) \times F(6)$$
$$64569 := 9 + (F(6)!/5 + F(4)!) \times F(6)$$

$$64620 := 0 + (-2 + 6!) \times F(4)!!/F(6)$$
$$64621 := 1 + (-2 + 6!) \times F(4)!!/F(6)$$

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$64622 := 2 + (-2 + 6!) \times F(4)!!/F(6)$
$64623 := 3 + (-2 + 6!) \times F(4)!!/F(6)$
$64624 := 4 + (-2 + 6!) \times F(4)!!/F(6)$
$64625 := 5 + (-2 + 6!) \times F(4)!!/F(6)$
$64626 := 6 + (-2 + 6!) \times F(4)!!/F(6)$
$64627 := 7 + (-2 + 6!) \times F(4)!!/F(6)$
$64628 := 8 + (-2 + 6!) \times F(4)!!/F(6)$
$64629 := 9 + (-2 + 6!) \times F(4)!!/F(6)$

$65340 := 0 + F(4)! \times (F(F(F(3!))) - 56)$
$65341 := 1 + F(4)! \times (F(F(F(3!))) - 56)$
$65342 := 2 + F(4)! \times (F(F(F(3!))) - 56)$
$65343 := 3 + F(4)! \times (F(F(F(3!))) - 56)$
$65344 := 4 + F(4)! \times (F(F(F(3!))) - 56)$
$65345 := 5 + F(4)! \times (F(F(F(3!))) - 56)$
$65346 := 6 + F(4)! \times (F(F(F(3!))) - 56)$
$65347 := 7 + F(4)! \times (F(F(F(3!))) - 56)$
$65348 := 8 + F(4)! \times (F(F(F(3!))) - 56)$
$65349 := 9 + F(4)! \times (F(F(F(3!))) - 56)$

$66240 := 0 + F(4)!^2 \times 6! + F(6)!$
$66241 := 1 + F(4)!^2 \times 6! + F(6)!$
$66242 := 2 + F(4)!^2 \times 6! + F(6)!$
$66243 := 3 + F(4)!^2 \times 6! + F(6)!$
$66244 := 4 + F(4)!^2 \times 6! + F(6)!$
$66245 := 5 + F(4)!^2 \times 6! + F(6)!$
$66246 := 6 + F(4)!^2 \times 6! + F(6)!$
$66247 := 7 + F(4)!^2 \times 6! + F(6)!$
$66248 := 8 + F(4)!^2 \times 6! + F(6)!$
$66249 := 9 + F(4)!^2 \times 6! + F(6)!$

$74160 := 0 + (6! + 1) \times F(4)!!/7$
$74161 := 1 + (6! + 1) \times F(4)!!/7$
$74162 := 2 + (6! + 1) \times F(4)!!/7$
$74163 := 3 + (6! + 1) \times F(4)!!/7$
$74164 := 4 + (6! + 1) \times F(4)!!/7$
$74165 := 5 + (6! + 1) \times F(4)!!/7$
$74166 := 6 + (6! + 1) \times F(4)!!/7$
$74167 := 7 + (6! + 1) \times F(4)!!/7$
$74168 := 8 + (6! + 1) \times F(4)!!/7$
$74169 := 9 + (6! + 1) \times F(4)!!/7$

$74560 := 0 + F(6) \times 5!/F(4) \times F(F(7))$
$74561 := 1 + F(6) \times 5!/F(4) \times F(F(7))$
$74562 := 2 + F(6) \times 5!/F(4) \times F(F(7))$
$74563 := 3 + F(6) \times 5!/F(4) \times F(F(7))$
$74564 := 4 + F(6) \times 5!/F(4) \times F(F(7))$
$74565 := 5 + F(6) \times 5!/F(4) \times F(F(7))$
$74566 := 6 + F(6) \times 5!/F(4) \times F(F(7))$
$74567 := 7 + F(6) \times 5!/F(4) \times F(F(7))$
$74568 := 8 + F(6) \times 5!/F(4) \times F(F(7))$
$74569 := 9 + F(6) \times 5!/F(4) \times F(F(7))$

$74830 := 0 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$
$74831 := 1 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$
$74832 := 2 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$
$74833 := 3 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$
$74834 := 4 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$
$74835 := 5 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$
$74836 := 6 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$
$74837 := 7 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$
$74838 := 8 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$
$74839 := 9 + (-F(3)^8 + F(F(F(F(4)!)))) \times 7$

$74880 := 0 + 8!/F(8) \times F(4) \times F(7)$
$74881 := 1 + 8!/F(8) \times F(4) \times F(7)$
$74882 := 2 + 8!/F(8) \times F(4) \times F(7)$
$74883 := 3 + 8!/F(8) \times F(4) \times F(7)$
$74884 := 4 + 8!/F(8) \times F(4) \times F(7)$
$74885 := 5 + 8!/F(8) \times F(4) \times F(7)$
$74886 := 6 + 8!/F(8) \times F(4) \times F(7)$
$74887 := 7 + 8!/F(8) \times F(4) \times F(7)$
$74888 := 8 + 8!/F(8) \times F(4) \times F(7)$
$74889 := 9 + 8!/F(8) \times F(4) \times F(7)$

$80540 := 0 + F(F(4)) \times (-50 + 8!)$
$80541 := 1 + F(F(4)) \times (-50 + 8!)$
$80542 := 2 + F(F(4)) \times (-50 + 8!)$

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$$80543 := 3 + F(F(4)) \times (-50 + 8!)$$
$$80544 := 4 + F(F(4)) \times (-50 + 8!)$$
$$80545 := 5 + F(F(4)) \times (-50 + 8!)$$
$$80546 := 6 + F(F(4)) \times (-50 + 8!)$$
$$80547 := 7 + F(F(4)) \times (-50 + 8!)$$
$$80548 := 8 + F(F(4)) \times (-50 + 8!)$$
$$80549 := 9 + F(F(4)) \times (-50 + 8!)$$

$$84480 := 0 + 8! \times 44/F(8)$$
$$84481 := 1 + 8! \times 44/F(8)$$
$$84482 := 2 + 8! \times 44/F(8)$$
$$84483 := 3 + 8! \times 44/F(8)$$
$$84484 := 4 + 8! \times 44/F(8)$$
$$84485 := 5 + 8! \times 44/F(8)$$
$$84486 := 6 + 8! \times 44/F(8)$$
$$84487 := 7 + 8! \times 44/F(8)$$
$$84488 := 8 + 8! \times 44/F(8)$$
$$84489 := 9 + 8! \times 44/F(8)$$

$$84930 := 0 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$
$$84931 := 1 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$
$$84932 := 2 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$
$$84933 := 3 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$
$$84934 := 4 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$
$$84935 := 5 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$
$$84936 := 6 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$
$$84937 := 7 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$
$$84938 := 8 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$
$$84939 := 9 + (F(3!) \times F(9))^{F(F(4))} + F(F(8))$$

$$88830 := 0 + 3!!/8 \times F(8 + 8)$$
$$88831 := 1 + 3!!/8 \times F(8 + 8)$$
$$88832 := 2 + 3!!/8 \times F(8 + 8)$$
$$88833 := 3 + 3!!/8 \times F(8 + 8)$$
$$88834 := 4 + 3!!/8 \times F(8 + 8)$$
$$88835 := 5 + 3!!/8 \times F(8 + 8)$$
$$88836 := 6 + 3!!/8 \times F(8 + 8)$$
$$88837 := 7 + 3!!/8 \times F(8 + 8)$$
$$88838 := 8 + 3!!/8 \times F(8 + 8)$$
$$88839 := 9 + 3!!/8 \times F(8 + 8)$$

$$94080 := 0 + 8! \times F(F(F(04)!))/9$$
$$94081 := 1 + 8! \times F(F(F(04)!))/9$$
$$94082 := 2 + 8! \times F(F(F(04)!))/9$$
$$94083 := 3 + 8! \times F(F(F(04)!))/9$$
$$94084 := 4 + 8! \times F(F(F(04)!))/9$$
$$94085 := 5 + 8! \times F(F(F(04)!))/9$$
$$94086 := 6 + 8! \times F(F(F(04)!))/9$$
$$94087 := 7 + 8! \times F(F(F(04)!))/9$$
$$94088 := 8 + 8! \times F(F(F(04)!))/9$$
$$94089 := 9 + 8! \times F(F(F(04)!))/9$$

3.4 Symmetric Nonconsecutive Representations in Reverse Order of Digits

The above subsections 3.1, 3.2 and 3.3 are with **symmetric** and **consecutive** representations. Below are some results, where we have **symmetry**, but the numbers are **non consecutive**.

$$14400 := (-1 + F(F(F(4)!))) \times F(4)!! + 00 = 00 + F(4)!! \times (F(F(F(4)!)) - 1)$$
$$14411 := (-1 + F(F(F(4)!))) \times F(4)!! + 11 = 11 + F(4)!! \times (F(F(F(4)!)) - 1)$$
$$14422 := (-1 + F(F(F(4)!))) \times F(4)!! + 22 = 22 + F(4)!! \times (F(F(F(4)!)) - 1)$$
$$14433 := (-1 + F(F(F(4)!))) \times F(4)!! + 33 = 33 + F(4)!! \times (F(F(F(4)!)) - 1)$$
$$14444 := (-1 + F(F(F(4)!))) \times F(4)!! + 44 = 44 + F(4)!! \times (F(F(F(4)!)) - 1)$$
$$14455 := (-1 + F(F(F(4)!))) \times F(4)!! + 55 = 55 + F(4)!! \times (F(F(F(4)!)) - 1)$$
$$14466 := (-1 + F(F(F(4)!))) \times F(4)!! + 66 = 66 + F(4)!! \times (F(F(F(4)!)) - 1)$$
$$14477 := (-1 + F(F(F(4)!))) \times F(4)!! + 77 = 77 + F(4)!! \times (F(F(F(4)!)) - 1)$$
$$14488 := (-1 + F(F(F(4)!))) \times F(4)!! + 88 = 88 + F(4)!! \times (F(F(F(4)!)) - 1)$$

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$$\mathbf{14499} := (-1 + F(F(F(4)!))) \times F(4)!! + 99 = 99 + F(4)!! \times (F(F(F(4)!)) - 1)$$

$$\mathbf{33600} := -F(3!)!/3! + F(6)! + 00 = 00 - F(6)!/3! + F(3!)!$$
$$\mathbf{33611} := -F(3!)!/3! + F(6)! + 11 = 11 - F(6)!/3! + F(3!)!$$
$$\mathbf{33622} := -F(3!)!/3! + F(6)! + 22 = 22 - F(6)!/3! + F(3!)!$$
$$\mathbf{33633} := -F(3!)!/3! + F(6)! + 33 = 33 - F(6)!/3! + F(3!)!$$
$$\mathbf{33644} := -F(3!)!/3! + F(6)! + 44 = 44 - F(6)!/3! + F(3!)!$$
$$\mathbf{33655} := -F(3!)!/3! + F(6)! + 55 = 55 - F(6)!/3! + F(3!)!$$
$$\mathbf{33666} := -F(3!)!/3! + F(6)! + 66 = 66 - F(6)!/3! + F(3!)!$$
$$\mathbf{33677} := -F(3!)!/3! + F(6)! + 77 = 77 - F(6)!/3! + F(3!)!$$
$$\mathbf{33688} := -F(3!)!/3! + F(6)! + 88 = 88 - F(6)!/3! + F(3!)!$$
$$\mathbf{33699} := -F(3!)!/3! + F(6)! + 99 = 99 - F(6)!/3! + F(3!)!$$

$$\mathbf{46400} := F(4!) + F(6) + 4! + 00 = 00 + F(4!) + F(6) + 4!$$
$$\mathbf{46411} := F(4!) + F(6) + 4! + 11 = 11 + F(4!) + F(6) + 4!$$
$$\mathbf{46422} := F(4!) + F(6) + 4! + 22 = 22 + F(4!) + F(6) + 4!$$
$$\mathbf{46433} := F(4!) + F(6) + 4! + 33 = 33 + F(4!) + F(6) + 4!$$
$$\mathbf{46444} := F(4!) + F(6) + 4! + 44 = 44 + F(4!) + F(6) + 4!$$
$$\mathbf{46455} := F(4!) + F(6) + 4! + 55 = 55 + F(4!) + F(6) + 4!$$
$$\mathbf{46466} := F(4!) + F(6) + 4! + 66 = 66 + F(4!) + F(6) + 4!$$
$$\mathbf{46477} := F(4!) + F(6) + 4! + 77 = 77 + F(4!) + F(6) + 4!$$
$$\mathbf{46488} := F(4!) + F(6) + 4! + 88 = 88 + F(4!) + F(6) + 4!$$
$$\mathbf{46499} := F(4!) + F(6) + 4! + 99 = 99 + F(4!) + F(6) + 4!$$

$$\mathbf{54900} := 5 \times (F(F(F(F(4)!))) + F(9)) + 00 = 00 + (F(9) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54911} := 5 \times (F(F(F(F(4)!))) + F(9)) + 11 = 11 + (F(9) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54922} := 5 \times (F(F(F(F(4)!))) + F(9)) + 22 = 22 + (F(9) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54933} := 5 \times (F(F(F(F(4)!))) + F(9)) + 33 = 33 + (F(9) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54944} := 5 \times (F(F(F(F(4)!))) + F(9)) + 44 = 44 + (F(9) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54955} := 5 \times (F(F(F(F(4)!))) + F(9)) + 55 = 55 + (F(9) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54966} := 5 \times (F(F(F(F(4)!))) + F(9)) + 66 = 66 + (F(9) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54977} := 5 \times (F(F(F(F(4)!))) + F(9)) + 77 = 77 + (F(9) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54988} := 5 \times (F(F(F(F(4)!))) + F(9)) + 88 = 88 + (F(9) + F(F(F(F(4)!)))) \times 5$$
$$\mathbf{54999} := 5 \times (F(F(F(F(4)!))) + F(9)) + 99 = 99 + (F(9) + F(F(F(F(4)!)))) \times 5$$

$$\mathbf{37800} := 00 + 8! - 7!/F(3)$$
$$\mathbf{37811} := 11 + 8! - 7!/F(3)$$
$$\mathbf{37822} := 22 + 8! - 7!/F(3)$$
$$\mathbf{37833} := 33 + 8! - 7!/F(3)$$
$$\mathbf{37844} := 44 + 8! - 7!/F(3)$$
$$\mathbf{37855} := 55 + 8! - 7!/F(3)$$
$$\mathbf{37866} := 66 + 8! - 7!/F(3)$$
$$\mathbf{37877} := 77 + 8! - 7!/F(3)$$
$$\mathbf{37888} := 88 + 8! - 7!/F(3)$$
$$\mathbf{37899} := 99 + 8! - 7!/F(3)$$

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$$\mathbf{22610} := 01 + F(6)! - F(22)$$
$$\mathbf{22621} := 12 + F(6)! - F(22)$$
$$\mathbf{22632} := 23 + F(6)! - F(22)$$
$$\mathbf{22643} := 34 + F(6)! - F(22)$$
$$\mathbf{22654} := 45 + F(6)! - F(22)$$
$$\mathbf{22665} := 56 + F(6)! - F(22)$$
$$\mathbf{22676} := 67 + F(6)! - F(22)$$
$$\mathbf{22687} := 78 + F(6)! - F(22)$$
$$\mathbf{22698} := 89 + F(6)! - F(22)$$

$$\mathbf{44440} := 04 - F(4!)/4! + F(4!)$$
$$\mathbf{44451} := 15 - F(4!)/4! + F(4!)$$
$$\mathbf{44462} := 26 - F(4!)/4! + F(4!)$$
$$\mathbf{44473} := 37 - F(4!)/4! + F(4!)$$
$$\mathbf{44484} := 48 - F(4!)/4! + F(4!)$$
$$\mathbf{44495} := 59 - F(4!)/4! + F(4!)$$
$$\mathbf{44406} := 60 - F(4!)/4! + F(4!)$$

$$\mathbf{47305} := -50 + F(3 + F(7)) + F(4!)$$
$$\mathbf{47314} := -41 + F(3 + F(7)) + F(4!)$$
$$\mathbf{47323} := -32 + F(3 + F(7)) + F(4!)$$
$$\mathbf{47332} := -23 + F(3 + F(7)) + F(4!)$$
$$\mathbf{47341} := -14 + F(3 + F(7)) + F(4!)$$
$$\mathbf{47350} := -05 + F(3 + F(7)) + F(4!)$$

$$\mathbf{47503} := -30 + 5 \times F(F(7)) + F(4!)$$
$$\mathbf{47512} := -21 + 5 \times F(F(7)) + F(4!)$$
$$\mathbf{47521} := -12 + 5 \times F(F(7)) + F(4!)$$
$$\mathbf{47530} := -03 + 5 \times F(F(7)) + F(4!)$$

$$\mathbf{270400} := 00 + (40 \times F(7))^2$$
$$\mathbf{270411} := 11 + (40 \times F(7))^2$$
$$\mathbf{270422} := 22 + (40 \times F(7))^2$$
$$\mathbf{270433} := 33 + (40 \times F(7))^2$$
$$\mathbf{270444} := 44 + (40 \times F(7))^2$$
$$\mathbf{270455} := 55 + (40 \times F(7))^2$$
$$\mathbf{270466} := 66 + (40 \times F(7))^2$$
$$\mathbf{270477} := 77 + (40 \times F(7))^2$$
$$\mathbf{270488} := 88 + (40 \times F(7))^2$$
$$\mathbf{270499} := 99 + (40 \times F(7))^2$$

4 Symmetric Representations in terms of F(2), F(3) and F(4)

In the previous section, we gave symmetric numbers as blocks of 10. Since, F(2)=1, F(3)=2 and F(4)=3, still we can have symmetric numbers as blocks of 3. Similar to previous section, here also we have symmetric numbers in order of digits and its reverse. There are numbers those can be written in both the ways. The work is limited upto 6 digits. These are given in subsections below.

4.1 Symmetric Representations in Both Ways

Below are symmetric numbers in F(2), F(3) and F(4) in both ways, i.e., in digit's order and its reverse.

$$\mathbf{4182} := F(-F(4) + 1 + F(8)) + F(2) \;=\; F(2) + F(F(8) + 1 - F(4))$$
$$\mathbf{4183} := F(-F(4) + 1 + F(8)) + F(3) \;=\; F(3) + F(F(8) + 1 - F(4))$$
$$\mathbf{4184} := F(-F(4) + 1 + F(8)) + F(4) \;=\; F(4) + F(F(8) + 1 - F(4))$$

$$\mathbf{6562} := (F(6) - 5)^{F(6)} + F(2) \;=\; F(2) + (F(6) - 5)^{F(6)}$$
$$\mathbf{6563} := (F(6) - 5)^{F(6)} + F(3) \;=\; F(3) + (F(6) - 5)^{F(6)}$$
$$\mathbf{6564} := (F(6) - 5)^{F(6)} + F(4) \;=\; F(4) + (F(6) - 5)^{F(6)}$$

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$$\mathbf{10952} := F(F(10)-F(9))+5+F(2) = F(2)+5+F(F(9-01))$$
$$\mathbf{10953} := F(F(10)-F(9))+5+F(3) = F(3)+5+F(F(9-01))$$
$$\mathbf{10954} := F(F(10)-F(9))+5+F(4) = F(4)+5+F(F(9-01))$$

$$\mathbf{10982} := 1+F(09)+F(F(8))+F(2) = F(2)+F(F(8))+F(9)+01$$
$$\mathbf{10983} := 1+F(09)+F(F(8))+F(3) = F(3)+F(F(8))+F(9)+01$$
$$\mathbf{10984} := 1+F(09)+F(F(8))+F(4) = F(4)+F(F(8))+F(9)+01$$

$$\mathbf{28762} := F(2+F(8))+F(7)\times F(6)+F(2) = F(2)+F(6)\times F(7)+F(F(8)+2)$$
$$\mathbf{28763} := F(2+F(8))+F(7)\times F(6)+F(3) = F(3)+F(6)\times F(7)+F(F(8)+2)$$
$$\mathbf{28764} := F(2+F(8))+F(7)\times F(6)+F(4) = F(4)+F(6)\times F(7)+F(F(8)+2)$$

$$\mathbf{32872} := 3\times(-2+F(F(8))+F(7))+F(2) = F(2)+(F(7)+F(F(8))-2)\times 3$$
$$\mathbf{32873} := 3\times(-2+F(F(8))+F(7))+F(3) = F(3)+(F(7)+F(F(8))-2)\times 3$$
$$\mathbf{32874} := 3\times(-2+F(F(8))+F(7))+F(4) = F(4)+(F(7)+F(F(8))-2)\times 3$$

$$\mathbf{43772} := 4\times F(3\times 7)-F(7)+F(2) = F(2)-F(7)+F(7\times 3)\times 4$$
$$\mathbf{43773} := 4\times F(3\times 7)-F(7)+F(3) = F(3)-F(7)+F(7\times 3)\times 4$$
$$\mathbf{43774} := 4\times F(3\times 7)-F(7)+F(4) = F(4)-F(7)+F(7\times 3)\times 4$$

$$\mathbf{65592} := F(F(6))\times 5^5-F(9)+F(2) = F(2)-F(9)+5^5\times F(F(6))$$
$$\mathbf{65593} := F(F(6))\times 5^5-F(9)+F(3) = F(3)-F(9)+5^5\times F(F(6))$$
$$\mathbf{65594} := F(F(6))\times 5^5-F(9)+F(4) = F(4)-F(9)+5^5\times F(F(6))$$

$$\mathbf{65652} := F(F(F(6)))+5\times(F(F(F(6)))-5)+F(2) = F(2)+(-5+F(F(F(6))))\times 5+F(F(F(6)))$$
$$\mathbf{65653} := F(F(F(6)))+5\times(F(F(F(6)))-5)+F(3) = F(3)+(-5+F(F(F(6))))\times 5+F(F(F(6)))$$
$$\mathbf{65654} := F(F(F(6)))+5\times(F(F(F(6)))-5)+F(4) = F(4)+(-5+F(F(F(6))))\times 5+F(F(F(6)))$$

$$\mathbf{65672} := -F(F(F(6)))-5+F(F(F(6)))\times 7+F(2) = F(2)+7\times F(F(F(6)))-5-F(F(F(6)))$$
$$\mathbf{65673} := -F(F(F(6)))-5+F(F(F(6)))\times 7+F(3) = F(3)+7\times F(F(F(6)))-5-F(F(F(6)))$$
$$\mathbf{65674} := -F(F(F(6)))-5+F(F(F(6)))\times 7+F(4) = F(4)+7\times F(F(F(6)))-5-F(F(F(6)))$$

$$\mathbf{73792} := (7+F(3)^{F(7)})\times 9+F(2) = F(2)+9\times(7+F(3)^{F(7)})$$
$$\mathbf{73793} := (7+F(3)^{F(7)})\times 9+F(3) = F(3)+9\times(7+F(3)^{F(7)})$$
$$\mathbf{73794} := (7+F(3)^{F(7)})\times 9+F(4) = F(4)+9\times(7+F(3)^{F(7)})$$

$$\mathbf{74992} := F(F(7)+F(4)+9)-F(9)+F(2) = F(2)-F(9)+F(9+F(4)+F(7))$$
$$\mathbf{74993} := F(F(7)+F(4)+9)-F(9)+F(3) = F(3)-F(9)+F(9+F(4)+F(7))$$
$$\mathbf{74994} := F(F(7)+F(4)+9)-F(9)+F(4) = F(4)-F(9)+F(9+F(4)+F(7))$$

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$$\mathbf{75272} := F(7) + F(5^2) + F(F(7)) + F(2) = F(2) + F(F(7)) + F(25) + F(7)$$
$$\mathbf{75273} := F(7) + F(5^2) + F(F(7)) + F(3) = F(3) + F(F(7)) + F(25) + F(7)$$
$$\mathbf{75274} := F(7) + F(5^2) + F(F(7)) + F(4) = F(4) + F(F(7)) + F(25) + F(7)$$

$$\mathbf{76392} := 7 \times (F(F(F(6))) + F(F(3)) - F(9)) + F(2) = F(2) + (-F(9) + F(F(3)) + F(F(F(6)))) \times 7$$
$$\mathbf{76393} := 7 \times (F(F(F(6))) + F(F(3)) - F(9)) + F(3) = F(3) + (-F(9) + F(F(3)) + F(F(F(6)))) \times 7$$
$$\mathbf{76394} := 7 \times (F(F(F(6))) + F(F(3)) - F(9)) + F(4) = F(4) + (-F(9) + F(F(3)) + F(F(F(6)))) \times 7$$

$$\mathbf{76462} := 7 \times (-F(F(6)) - F(F(4)) + F(F(F(6)))) + F(2) = F(2) + (F(F(F(6))) - F(F(4)) - F(F(6))) \times 7$$
$$\mathbf{76463} := 7 \times (-F(F(6)) - F(F(4)) + F(F(F(6)))) + F(3) = F(3) + (F(F(F(6))) - F(F(4)) - F(F(6))) \times 7$$
$$\mathbf{76464} := 7 \times (-F(F(6)) - F(F(4)) + F(F(F(6)))) + F(4) = F(4) + (F(F(F(6))) - F(F(4)) - F(F(6))) \times 7$$

$$\mathbf{76532} := 7 \times (F(F(F(6))) - F(5 + F(3))) + F(2) = F(2) + (-F(F(3) + 5) + F(F(F(6)))) \times 7$$
$$\mathbf{76533} := 7 \times (F(F(F(6))) - F(5 + F(3))) + F(3) = F(3) + (-F(F(3) + 5) + F(F(F(6)))) \times 7$$
$$\mathbf{76534} := 7 \times (F(F(F(6))) - F(5 + F(3))) + F(4) = F(4) + (-F(F(3) + 5) + F(F(F(6)))) \times 7$$

$$\mathbf{76672} := (7 + F(F(F(6)))) \times (-6 + F(7)) + F(2) = F(2) + (7 + F(F(F(6)))) \times (-6 + F(7))$$
$$\mathbf{76673} := (7 + F(F(F(6)))) \times (-6 + F(7)) + F(3) = F(3) + (7 + F(F(F(6)))) \times (-6 + F(7))$$
$$\mathbf{76674} := (7 + F(F(F(6)))) \times (-6 + F(7)) + F(4) = F(4) + (7 + F(F(F(6)))) \times (-6 + F(7))$$

$$\mathbf{76742} := 7 \times (F(F(F(6))) + F(7) + 4) + F(2) = F(2) + (4 + F(7) + F(F(F(6)))) \times 7$$
$$\mathbf{76743} := 7 \times (F(F(F(6))) + F(7) + 4) + F(3) = F(3) + (4 + F(7) + F(F(F(6)))) \times 7$$
$$\mathbf{76744} := 7 \times (F(F(F(6))) + F(7) + 4) + F(4) = F(4) + (4 + F(7) + F(F(F(6)))) \times 7$$

$$\mathbf{86582} := F(F(8)) \times F(6) - F(-5 + F(8)) + F(2) = F(2) - F(F(8) - 5) + F(6) \times F(F(8))$$
$$\mathbf{86583} := F(F(8)) \times F(6) - F(-5 + F(8)) + F(3) = F(3) - F(F(8) - 5) + F(6) \times F(F(8))$$
$$\mathbf{86584} := F(F(8)) \times F(6) - F(-5 + F(8)) + F(4) = F(4) - F(F(8) - 5) + F(6) \times F(F(8))$$

$$\mathbf{98282} := 9 \times F(F(8)) - F(F(-F(2) + 8)) + F(2) = F(2) - F(F(8 - F(2))) + F(F(8)) \times 9$$
$$\mathbf{98283} := 9 \times F(F(8)) - F(F(-F(2) + 8)) + F(3) = F(3) - F(F(8 - F(2))) + F(F(8)) \times 9$$
$$\mathbf{98284} := 9 \times F(F(8)) - F(F(-F(2) + 8)) + F(4) = F(4) - F(F(8 - F(2))) + F(F(8)) \times 9$$

$$\mathbf{98452} := 9 \times (F(F(8)) - F(F(4)) - 5) + F(2) = F(2) + (-5 - F(F(4)) + F(F(8))) \times 9$$
$$\mathbf{98453} := 9 \times (F(F(8)) - F(F(4)) - 5) + F(3) = F(3) + (-5 - F(F(4)) + F(F(8))) \times 9$$
$$\mathbf{98454} := 9 \times (F(F(8)) - F(F(4)) - 5) + F(4) = F(4) + (-5 - F(F(4)) + F(F(8))) \times 9$$

$$\mathbf{98542} := 9 \times (F(F(8)) + 5 - F(F(4))) + F(2) = F(2) + (-F(F(4)) + 5 + F(F(8))) \times 9$$
$$\mathbf{98543} := 9 \times (F(F(8)) + 5 - F(F(4))) + F(3) = F(3) + (-F(F(4)) + 5 + F(F(8))) \times 9$$
$$\mathbf{98544} := 9 \times (F(F(8)) + 5 - F(F(4))) + F(4) = F(4) + (-F(F(4)) + 5 + F(F(8))) \times 9$$

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$$\mathbf{98632} := 9 \times (F(F(8)) + F(F(6) - F(F(3)))) + F(2) = F(2) + (F(F(F(3)) + 6) + F(F(8))) \times 9$$
$$\mathbf{98633} := 9 \times (F(F(8)) + F(F(6) - F(F(3)))) + F(3) = F(3) + (F(F(F(3)) + 6) + F(F(8))) \times 9$$
$$\mathbf{98634} := 9 \times (F(F(8)) + F(F(6) - F(F(3)))) + F(4) = F(4) + (F(F(F(3)) + 6) + F(F(8))) \times 9$$

$$\mathbf{147493} := ((1 \times 4)^7 + 4) \times 9 \times F(3) = F(3) + 9 \times (4^7 + 4) - 1$$
$$\mathbf{147494} := ((1 \times 4)^7 + 4) \times 9 \times F(4) = F(4) + 9 \times (4^7 + 4) - 1$$

$$\mathbf{229972} := F(2+2+9) \times F(9+7) + F(2) = F(2) + F(7+9) \times F(9+2+2)$$
$$\mathbf{229973} := F(2+2+9) \times F(9+7) + F(3) = F(3) + F(7+9) \times F(9+2+2)$$
$$\mathbf{229974} := F(2+2+9) \times F(9+7) + F(4) = F(4) + F(7+9) \times F(9+2+2)$$

$$\mathbf{297382} := (2 + 9 \times F(7))^{F(3)} \times F(8) + F(2) = F(2) + F(8) \times (F(3)^7 - 9)^2$$
$$\mathbf{297383} := (2 + 9 \times F(7))^{F(3)} \times F(8) + F(3) = F(3) + F(8) \times (F(3)^7 - 9)^2$$
$$\mathbf{297384} := (2 + 9 \times F(7))^{F(3)} \times F(8) + F(4) = F(4) + F(8) \times (F(3)^7 - 9)^2$$

$$\mathbf{531442} := (5 - F(3))^{(-1+4)\times 4} + F(2) = F(2) + F(4)^{4\times 1+3+5}$$
$$\mathbf{531443} := (5 - F(3))^{(-1+4)\times 4} + F(3) = F(3) + F(4)^{4\times 1+3+5}$$
$$\mathbf{531444} := (5 - F(3))^{(-1+4)\times 4} + F(4) = F(4) + F(4)^{4\times 1+3+5}$$

$$\mathbf{832062} := F(8) + F((3+2) \times 06) + F(2) = F(2) + F(6 \times (02+3)) + F(8)$$
$$\mathbf{832063} := F(8) + F((3+2) \times 06) + F(3) = F(3) + F(6 \times (02+3)) + F(8)$$
$$\mathbf{832064} := F(8) + F((3+2) \times 06) + F(4) = F(4) + F(6 \times (02+3)) + F(8)$$

$$\mathbf{953332} := (-F(9) + F(-5+33)) \times 3 + F(2) = F(2) + 3 \times (F(33-5) - F(9))$$
$$\mathbf{953333} := (-F(9) + F(-5+33)) \times 3 + F(3) = F(3) + 3 \times (F(33-5) - F(9))$$
$$\mathbf{953334} := (-F(9) + F(-5+33)) \times 3 + F(4) = F(4) + 3 \times (F(33-5) - F(9))$$

4.2 Symmetric Representations in Digit's Order

Below are symmetric numbers in F(2), F(3) and F(4) in digit's order.

$$\mathbf{52442} := (F(F(5+2)) - 4)^{F(F(4))} + F(2)$$
$$\mathbf{52443} := (F(F(5+2)) - 4)^{F(F(4))} + F(3)$$
$$\mathbf{52444} := (F(F(5+2)) - 4)^{F(F(4))} + F(4)$$

$$\mathbf{76692} := 7 \times F(F(F(6))) + 69 + F(2)$$
$$\mathbf{76693} := 7 \times F(F(F(6))) + 69 + F(3)$$
$$\mathbf{76694} := 7 \times F(F(F(6))) + 69 + F(4)$$

$$\mathbf{98572} := 9 \times F(F(8)) + 57 + F(2)$$
$$\mathbf{98573} := 9 \times F(F(8)) + 57 + F(3)$$
$$\mathbf{98574} := 9 \times F(F(8)) + 57 + F(4)$$

$$\mathbf{117682} := 11 + 7^6 + F(8) + F(2)$$
$$\mathbf{117683} := 11 + 7^6 + F(8) + F(3)$$
$$\mathbf{117684} := 11 + 7^6 + F(8) + F(4)$$

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$$\mathbf{142642} := F(14)^2 + F(6)^{F(4)} + F(2)$$
$$\mathbf{142643} := F(14)^2 + F(6)^{F(4)} + F(3)$$
$$\mathbf{142644} := F(14)^2 + F(6)^{F(4)} + F(4)$$

$$\mathbf{143642} := (F(14) + F(3))^{6-4} + F(2)$$
$$\mathbf{143643} := (F(14) + F(3))^{6-4} + F(3)$$
$$\mathbf{143644} := (F(14) + F(3))^{6-4} + F(4)$$

$$\mathbf{144392} := (F(14) + F(4))^{F(3)} - 9 + F(2)$$
$$\mathbf{144393} := (F(14) + F(4))^{F(3)} - 9 + F(3)$$
$$\mathbf{144394} := (F(14) + F(4))^{F(3)} - 9 + F(4)$$

$$\mathbf{161052} := (1^6 + 10)^5 + F(2)$$
$$\mathbf{161053} := (1^6 + 10)^5 + F(3)$$
$$\mathbf{161054} := (1^6 + 10)^5 + F(4)$$

$$\mathbf{162362} := (F(16)^2 - 3)/6 + F(2)$$
$$\mathbf{162363} := (F(16)^2 - 3)/6 + F(3)$$
$$\mathbf{162364} := (F(16)^2 - 3)/6 + F(4)$$

$$\mathbf{261122} := (2^{F(6)+1} - 1)^2 + F(2)$$
$$\mathbf{261123} := (2^{F(6)+1} - 1)^2 + F(3)$$
$$\mathbf{261124} := (2^{F(6)+1} - 1)^2 + F(4)$$

$$\mathbf{317852} := F((3+1) \times 7) + 8 \times 5 + F(2)$$
$$\mathbf{317853} := F((3+1) \times 7) + 8 \times 5 + F(3)$$
$$\mathbf{317854} := F((3+1) \times 7) + 8 \times 5 + F(4)$$

$$\mathbf{317902} := F((3+1) \times 7) + 90 + F(2)$$
$$\mathbf{317903} := F((3+1) \times 7) + 90 + F(3)$$
$$\mathbf{317904} := F((3+1) \times 7) + 90 + F(4)$$

$$\mathbf{371932} := 3 \times 7 \times F(19+3) + F(2)$$
$$\mathbf{371933} := 3 \times 7 \times F(19+3) + F(3)$$
$$\mathbf{371934} := 3 \times 7 \times F(19+3) + F(4)$$

$$\mathbf{670562} := 6^7 + 05^{F(6)} + F(2)$$
$$\mathbf{670563} := 6^7 + 05^{F(6)} + F(3)$$
$$\mathbf{670564} := 6^7 + 05^{F(6)} + F(4)$$

$$\mathbf{741322} := (7 \times 41 \times 3)^2 + F(2)$$
$$\mathbf{741323} := (7 \times 41 \times 3)^2 + F(3)$$
$$\mathbf{741324} := (7 \times 41 \times 3)^2 + F(4)$$

$$\mathbf{786392} := -7 + 8^6 \times 3 - F(9) + F(2)$$
$$\mathbf{786393} := -7 + 8^6 \times 3 - F(9) + F(3)$$
$$\mathbf{786394} := -7 + 8^6 \times 3 - F(9) + F(4)$$

$$\mathbf{786442} := (7 + 8^6 - 4) \times F(4) + F(2)$$
$$\mathbf{786443} := (7 + 8^6 - 4) \times F(4) + F(3)$$
$$\mathbf{786444} := (7 + 8^6 - 4) \times F(4) + F(4)$$

$$\mathbf{786462} := (7 + 8^6) * F(4) + F(6) + F(2)$$
$$\mathbf{786463} := (7 + 8^6) * F(4) + F(6) + F(3)$$
$$\mathbf{786464} := (7 + 8^6) * F(4) + F(6) + F(4)$$

$$\mathbf{786472} := (F(7) + 8^6) \times (-4 + 7) + F(2)$$
$$\mathbf{786473} := (F(7) + 8^6) \times (-4 + 7) + F(3)$$
$$\mathbf{786474} := (F(7) + 8^6) \times (-4 + 7) + F(4)$$

$$\mathbf{832482} := F(8)^{F(3)} + F(-2 + 4 * 8) + F(2)$$
$$\mathbf{832483} := F(8)^{F(3)} + F(-2 + 4 * 8) + F(3)$$
$$\mathbf{832484} := F(8)^{F(3)} + F(-2 + 4 * 8) + F(4)$$

$$\mathbf{849752} := F(8)/F(4) \times F(-9 + 7 \times 5) + F(2)$$
$$\mathbf{849753} := F(8)/F(4) \times F(-9 + 7 \times 5) + F(3)$$
$$\mathbf{849754} := F(8)/F(4) \times F(-9 + 7 \times 5) + F(4)$$

$$\mathbf{923522} := (F(9) - F(2) - F(3))^{5-F(2)} + F(2)$$
$$\mathbf{923523} := (F(9) - F(2) - F(3))^{5-F(2)} + F(3)$$
$$\mathbf{923524} := (F(9) - F(2) - F(3))^{5-F(2)} + F(4)$$

$$\mathbf{974162} := F(9+7)^{F(4-1)} - F(6) + F(2)$$
$$\mathbf{974163} := F(9+7)^{F(4-1)} - F(6) + F(3)$$
$$\mathbf{974164} := F(9+7)^{F(4-1)} - F(6) + F(4)$$

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$$\mathbf{975252} := -9 + F(7) * (-5 + F(25)) + F(2)$$
$$\mathbf{975253} := -9 + F(7) * (-5 + F(25)) + F(3)$$
$$\mathbf{975254} := -9 + F(7) * (-5 + F(25)) + F(4)$$

4.3 Symmetric Representations in Reverse Order of Digits

Below are symmetric numbers in F(2), F(3) and F(4) in reverse order of digits.

$$\mathbf{15592} := F(2) - F(9) + 5^{5+1}$$
$$\mathbf{15593} := F(3) - F(9) + 5^{5+1}$$
$$\mathbf{15594} := F(4) - F(9) + 5^{5+1}$$

$$\mathbf{28562} := F(2) + (F(6) + 5)^{8/2}$$
$$\mathbf{28563} := F(3) + (F(6) + 5)^{8/2}$$
$$\mathbf{28564} := F(4) + (F(6) + 5)^{8/2}$$

$$\mathbf{39072} := F(2) - F(F(7)) + F(09)^3$$
$$\mathbf{39073} := F(3) - F(F(7)) + F(09)^3$$
$$\mathbf{39074} := F(4) - F(F(7)) + F(09)^3$$

$$\mathbf{39292} := F(2) - F(9-2) + F(9)^3$$
$$\mathbf{39293} := F(3) - F(9-2) + F(9)^3$$
$$\mathbf{39294} := F(4) - F(9-2) + F(9)^3$$

$$\mathbf{39682} := F(2) + F(8+6) + F(9)^3$$
$$\mathbf{39683} := F(3) + F(8+6) + F(9)^3$$
$$\mathbf{39684} := F(4) + F(8+6) + F(9)^3$$

$$\mathbf{46372} := F(2) + F(7-3) + F(6 \times 4)$$
$$\mathbf{46373} := F(3) + F(7-3) + F(6 \times 4)$$
$$\mathbf{46374} := F(4) + F(7-3) + F(6 \times 4)$$

$$\mathbf{58912} := F(2) + F(19) + F(F(8)) \times 5$$
$$\mathbf{58913} := F(3) + F(19) + F(F(8)) \times 5$$
$$\mathbf{58914} := F(4) + F(19) + F(F(8)) \times 5$$

$$\mathbf{65642} := F(2) + 4^{F(6)} + 5 \times F(F(6))$$
$$\mathbf{65643} := F(3) + 4^{F(6)} + 5 \times F(F(6))$$
$$\mathbf{65644} := F(4) + 4^{F(6)} + 5 \times F(F(6))$$

$$\mathbf{67362} := F(2) - F(F(6))^3 + 7 \times F(F(F(6)))$$
$$\mathbf{67363} := F(3) - F(F(6))^3 + 7 \times F(F(F(6)))$$
$$\mathbf{67364} := F(4) - F(F(6))^3 + 7 \times F(F(F(6)))$$

$$\mathbf{170472} := F(2) + 7^4 \times 071$$
$$\mathbf{170473} := F(3) + 7^4 \times 071$$
$$\mathbf{170474} := F(4) + 7^4 \times 071$$

$$\mathbf{194482} := F(2) + F(8)^{F(4)\times 4-9+1}$$
$$\mathbf{194483} := F(3) + F(8)^{F(4)\times 4-9+1}$$
$$\mathbf{194484} := F(4) + F(8)^{F(4)\times 4-9+1}$$

$$\mathbf{226982} := F(2) + (F(8) + F(9) + 6)^{F(2+2)}$$
$$\mathbf{226983} := F(3) + (F(8) + F(9) + 6)^{F(2+2)}$$
$$\mathbf{226984} := F(4) + (F(8) + F(9) + 6)^{F(2+2)}$$

$$\mathbf{276342} := F(2) + (4 + 3^6) \times F(7 \times 2)$$
$$\mathbf{276343} := F(3) + (4 + 3^6) \times F(7 \times 2)$$
$$\mathbf{276344} := F(4) + (4 + 3^6) \times F(7 \times 2)$$

$$\mathbf{292682} := F(2) + (F(8) + F(6) + 2^9)^2$$
$$\mathbf{292683} := F(3) + (F(8) + F(6) + 2^9)^2$$
$$\mathbf{292684} := F(4) + (F(8) + F(6) + 2^9)^2$$

$$\mathbf{337562} := F(2) + (F(6) + 573)^{F(3)}$$
$$\mathbf{337563} := F(3) + (F(6) + 573)^{F(3)}$$
$$\mathbf{337564} := F(4) + (F(6) + 573)^{F(3)}$$

$$\mathbf{357912} := F(2) + (-1 + 9 \times (F(7) - 5))^3$$
$$\mathbf{357913} := F(3) + (-1 + 9 \times (F(7) - 5))^3$$

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$$\mathbf{357914} := F(4) + (-1 + 9 \times (F(7) - 5))^3$$

$$\mathbf{390592} := F(2) - F(9) + 5^{F(09-3)}$$
$$\mathbf{390593} := F(3) - F(9) + 5^{F(09-3)}$$
$$\mathbf{390594} := F(4) - F(9) + 5^{F(09-3)}$$

$$\mathbf{514232} := F(2) + F(3) + F(24 + 5)$$
$$\mathbf{514233} := F(3) + F(3) + F(24 + 5)$$
$$\mathbf{514234} := F(4) + F(3) + F(24 + 5)$$

$$\mathbf{599782} := F(2) + F(8) \times F(7)^{-9/9+5}$$
$$\mathbf{599783} := F(3) + F(8) \times F(7)^{-9/9+5}$$
$$\mathbf{599784} := F(4) + F(8) \times F(7)^{-9/9+5}$$

$$\mathbf{688562} := F(2) + (F(6)^5 + F(8)) \times F(8) - F(6)$$
$$\mathbf{688563} := F(3) + (F(6)^5 + F(8)) \times F(8) - F(6)$$
$$\mathbf{688564} := F(4) + (F(6)^5 + F(8)) \times F(8) - F(6)$$

$$\mathbf{734812} := F(2) + (18^4 - 3) \times 7$$
$$\mathbf{734813} := F(3) + (18^4 - 3) \times 7$$
$$\mathbf{734814} := F(4) + (18^4 - 3) \times 7$$

$$\mathbf{803472} := F(2) - F(7)^4 + F(30) - 8$$
$$\mathbf{803473} := F(3) - F(7)^4 + F(30) - 8$$
$$\mathbf{803474} := F(4) - F(7)^4 + F(30) - 8$$

$$\mathbf{823572} := F(2) + 7^{5+F(3)} + 28$$
$$\mathbf{823573} := F(3) + 7^{5+F(3)} + 28$$
$$\mathbf{823574} := F(4) + 7^{5+F(3)} + 28$$

$$\mathbf{944812} := F(2) + (18^4 + F(4)) \times 9$$
$$\mathbf{944813} := F(3) + (18^4 + F(4)) \times 9$$
$$\mathbf{944814} := F(4) + (18^4 + F(4)) \times 9$$

4.4 Symmetric Representations in F(F(3)) and F(F(4))

In the previous section, we gave symmetric numbers in terms of $F(2)$, $F(3)$ and $F(4)$. Since $F(F(3) = 1$ and $F(F(4)) = 2$, here also we have symmetric numbers in order of digits and its reverse. There are numbers those can be written in both the ways. The work is limited up to 5 digits. These are given in subsections below.

4.4.1 Symmetric Representations in Both Ways

Below are symmetric numbers in $F(F(3))$ and $F(F(4))$ in both ways, i.e., in digit's order and its reverse.

$$\mathbf{7923} := F(F(7)) \times F(9) \times F(2) + F(F(3)) = F(F(3)) + F(2) \times F(9) \times F(F(7))$$
$$\mathbf{7924} := F(F(7)) \times F(9) \times F(2) + F(F(4)) = F(F(4)) + F(2) \times F(9) \times F(F(7))$$

$$\mathbf{8363} := F(F(8)) - F(3 \times 6) + F(F(3)) = F(F(3)) - F(6 \times 3) + F(F(8))$$
$$\mathbf{8364} := F(F(8)) - F(3 \times 6) + F(F(4)) = F(F(4)) - F(6 \times 3) + F(F(8))$$
$$\mathbf{10943} := F(F(-1 + 09)) - 4 + F(F(3)) = F(F(3)) - 4 + F(F(9 - 01))$$
$$\mathbf{10944} := F(F(-1 + 09)) - 4 + F(F(4)) = F(F(4)) - 4 + F(F(9 - 01))$$

$$\mathbf{21963} := 2 \times (1 + F(9) + F(F(F(6)))) + F(F(3)) = F(F(3)) + (F(F(F(6))) + F(9) + 1) \times 2$$
$$\mathbf{21964} := 2 \times (1 + F(9) + F(F(F(6)))) + F(F(4)) = F(F(4)) + (F(F(F(6))) + F(9) + 1) \times 2$$

$$\mathbf{32863} := 3 \times F(2) \times (F(F(8)) + F(6)) + F(F(3)) = F(F(3)) + (F(6) + F(F(8))) \times F(2) \times 3$$
$$\mathbf{32864} := 3 \times F(2) \times (F(F(8)) + F(6)) + F(F(4)) = F(F(4)) + (F(6) + F(F(8))) \times F(2) \times 3$$

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$$\mathbf{35423} := F(3) \times F(5 \times 4 + 2) + F(F(3)) = F(F(3)) + F(2 + 4 \times 5) \times F(3)$$
$$\mathbf{35424} := F(3) \times F(5 \times 4 + 2) + F(F(4)) = F(F(4)) + F(2 + 4 \times 5) \times F(3)$$

$$\mathbf{43793} := 4 \times (F(3) + F(-F(7) + F(9))) + F(F(3)) = F(F(3)) + (F(F(9) - F(7)) + F(3)) \times 4$$
$$\mathbf{43794} := 4 \times (F(3) + F(-F(7) + F(9))) + F(F(4)) = F(F(4)) + (F(F(9) - F(7)) + F(3)) \times 4$$

$$\mathbf{66493} := 6 \times (F(F(F(6))) + 4 \times F(9)) + F(F(3)) = F(F(3)) + (F(9) \times 4 + F(F(F(6)))) \times 6$$
$$\mathbf{66494} := 6 \times (F(F(F(6))) + 4 \times F(9)) + F(F(4)) = F(F(4)) + (F(9) \times 4 + F(F(F(6)))) \times 6$$

$$\mathbf{68473} := 6 \times (F(F(8)) + F(F(4)) \times F(F(7))) + F(F(3)) = F(F(3)) + (F(F(7)) \times F(F(4)) + F(F(8))) \times 6$$
$$\mathbf{68474} := 6 \times (F(F(8)) + F(F(4)) \times F(F(7))) + F(F(4)) = F(F(4)) + (F(F(7)) \times F(F(4)) + F(F(8))) \times 6$$

$$\mathbf{74793} := -F(F(7)) + F(4 - F(7) + F(9)) + F(F(3)) = F(F(3)) + F(F(9) - F(7) + 4) - F(F(7))$$
$$\mathbf{74794} := -F(F(7)) + F(4 - F(7) + F(9)) + F(F(4)) = F(F(4)) + F(F(9) - F(7) + 4) - F(F(7))$$

$$\mathbf{75293} := F(F(7)) + F(5^2) + F(9) + F(F(3)) = F(F(3)) + F(9) + F(25) + F(F(7))$$
$$\mathbf{75294} := F(F(7)) + F(5^2) + F(9) + F(F(4)) = F(F(4)) + F(9) + F(25) + F(F(7))$$

$$\mathbf{76553} := 7 \times (F(F(F(6))) - 5 - 5) + F(F(3)) = F(F(3)) + (-5 - 5 + F(F(F(6)))) \times 7$$
$$\mathbf{76554} := 7 \times (F(F(F(6))) - 5 - 5) + F(F(4)) = F(F(4)) + (-5 - 5 + F(F(F(6)))) \times 7$$

$$\mathbf{76623} := F(F(7) + F(6)) \times (6 + F(2)) + F(F(3)) = F(F(3)) + (F(2) + 6) \times F(F(6) + F(7))$$
$$\mathbf{76624} := F(F(7) + F(6)) \times (6 + F(2)) + F(F(4)) = F(F(3)) + (F(2) + 6) \times F(F(6) + F(7))$$

$$\mathbf{76653} := 7 \times F(F(F(6))) + 6 \times 5 + F(F(3)) = F(F(3)) + 5 \times 6 + F(F(F(6))) \times 7$$
$$\mathbf{76654} := 7 \times F(F(F(6))) + 6 \times 5 + F(F(4)) = F(F(4)) + 5 \times 6 + F(F(F(6))) \times 7$$

$$\mathbf{87513} := (F(F(8)) - 7) \times F(5 + 1) + F(F(3)) = F(F(3)) + F(1 + 5) \times (-7 + F(F(8)))$$
$$\mathbf{87514} := (F(F(8)) - 7) \times F(5 + 1) + F(F(4)) = F(F(4)) + F(1 + 5) \times (-7 + F(F(8)))$$

$$\mathbf{87673} := 8 \times (F(7) + F(F(6) + F(7))) + F(F(3)) = F(F(3)) + (F(7) + F(F(6) + F(7))) \times 8$$
$$\mathbf{87674} := 8 \times (F(7) + F(F(6) + F(7))) + F(F(4)) = F(F(4)) + (F(7) + F(F(6) + F(7))) \times 8$$

$$\mathbf{98623} := 9 \times (F(F(8)) + 6 \times 2) + F(F(3)) = F(F(3)) + (2 \times 6 + F(F(8))) \times 9$$
$$\mathbf{98624} := 9 \times (F(F(8)) + 6 \times 2) + F(F(4)) = F(F(4)) + (2 \times 6 + F(F(8))) \times 9$$

$$\mathbf{98683} := 9 \times (F(F(8)) + F(F(6))) - F(8) + F(F(3)) = F(F(3)) - F(8) + (F(F(6)) + F(F(8))) \times 9$$
$$\mathbf{98684} := 9 \times (F(F(8)) + F(F(6))) - F(8) + F(F(4)) = F(F(4)) - F(8) + (F(F(6)) + F(F(8))) \times 9$$

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$$\mathbf{98753} := 9 \times F(F(8)) + F(F(7)) + 5 + F(F(3)) = F(F(3)) + 5 + F(F(7)) + F(F(8)) \times 9$$
$$\mathbf{98754} := 9 \times F(F(8)) + F(F(7)) + 5 + F(F(4)) = F(F(4)) + 5 + F(F(7)) + F(F(8)) \times 9$$

$$\mathbf{98893} := 9 \times (F(F(8)) + 8 + F(9)) + F(F(3)) = F(F(3)) + (F(9) + 8 + F(F(8))) \times 9$$
$$\mathbf{98894} := 9 \times (F(F(8)) + 8 + F(9)) + F(F(4)) = F(F(4)) + (F(9) + 8 + F(F(8))) \times 9$$

4.4.2 Symmetric Representations Reverse order of Digits

Below are symmetric numbers in $F(F(3))$ and $F(F(4)$ in reverse order of digits:

$$\mathbf{20973} := F(F(3)) + F(F(7)) \times 90 + 2$$
$$\mathbf{20974} := F(F(4)) + F(F(7)) \times 90 + 2$$

$$\mathbf{28673} := F(F(3)) + 7 \times F(6)^{8/2}$$
$$\mathbf{28674} := F(F(4)) + 7 \times F(6)^{8/2}$$

$$\mathbf{39253} := F(F(3)) - 52 + F(9)^3$$
$$\mathbf{39254} := F(F(4)) - 52 + F(9)^3$$

$$\mathbf{39383} := F(F(3)) + (8 + 3^9) \times F(3)$$
$$\mathbf{39384} := F(F(4)) + (8 + 3^9) \times F(3)$$

$$\mathbf{59283} := F(F(3)) + F(F(8 - F(2))) + 9^5$$
$$\mathbf{59284} := F(F(4)) + F(F(8 - F(2))) + 9^5$$

$$\mathbf{69633} := F(F(3)) + F(3)^{F(6)} \times F(9) \times F(6)$$
$$\mathbf{69634} := F(F(4)) + F(3)^{F(6)} \times F(9) \times F(6)$$

$$\mathbf{74393} := F(F(3)) + F(9) \times (F(F(3)) + F(4)^7)$$
$$\mathbf{74394} := F(F(4)) + F(9) \times (F(F(3)) + F(4)^7)$$

$$\mathbf{74763} := F(F(3)) + (F(F(6)) \times F(7))^{F(F(4))} + F(F(7))$$
$$\mathbf{74764} := F(F(4)) + (F(F(6)) \times F(7))^{F(F(4))} + F(F(7))$$

$$\mathbf{75033} := F(F(3)) + F(30 - 5) + 7$$
$$\mathbf{75034} := F(F(4)) + F(30 - 5) + 7$$

$$\mathbf{86793} := F(F(3)) + (-97 + F(F(F(6)))) \times 8$$
$$\mathbf{86794} := F(F(4)) + (-97 + F(F(F(6)))) \times 8$$

$$\mathbf{97363} := F(F(3)) + (F(F(F(6))) - F(3)^7) \times 9$$
$$\mathbf{97364} := F(F(4)) + (F(F(F(6))) - F(3)^7) \times 9$$

$$\mathbf{98263} := F(F(3)) + (F(F(F(6))) - 28) \times 9$$
$$\mathbf{98264} := F(F(4)) + (F(F(F(6))) - 28) \times 9$$

5 More Selfie Numbers

This section deals with the numbers not appearing above. Here also we have three subsections, where first one give the representations in both ways, second subsection give numbers in order of digits and the final subsection give the numbers in reverse order of digits. This section we have limited only up to 5 digits. In a similar way, we can work with number of higher width.

5.1 Both Ways Representations

5.1.1 Basic Operations

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$$\begin{aligned}\mathbf{143} &:= -1 + F(4\times 3)\\ &:= F(3\times 4) - 1\end{aligned}$$

$$\begin{aligned}\mathbf{144} &:= F((-1+4)\times 4)\\ &:= F(4\times(4-1))\end{aligned}$$

$$\begin{aligned}\mathbf{168} &:= 1\times F(6)\times F(8)\\ &:= F(8)\times F(6)\times 1\end{aligned}$$

$$\begin{aligned}\mathbf{377} &:= F(3\times 7-7)\\ &:= F(-7+7\times 3)\end{aligned}$$

$$\begin{aligned}\mathbf{986} &:= F(9)\times(F(8)+F(6))\\ &:= (F(6)+F(8))\times F(9)\end{aligned}$$

$$\begin{aligned}\mathbf{1178} &:= F(11)\times F(7)+F(8)\\ &:= F(8)+F(7)\times F(11)\end{aligned}$$

$$\begin{aligned}\mathbf{1292} &:= 1\times F(2\times 9)/2\\ &:= F(2\times 9)/2\times 1\end{aligned}$$

$$\begin{aligned}\mathbf{1536} &:= (1+5)\times F(3)^{F(6)}\\ &:= F(6)^3\times F(5-1)\end{aligned}$$

$$\begin{aligned}\mathbf{1589} &:= -F(1+5)+F(8+9)\\ &:= F(9+8)-F(5+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1618} &:= F(16+1)+F(8)\\ &:= F(8)+F(16+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1848} &:= (1+F(8))\times 4\times F(8)\\ &:= 84\times(F(8)+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1856} &:= -1+F(8+5)\times F(6)\\ &:= F(6)\times(F(5+8)-1)\end{aligned}$$

$$\begin{aligned}\mathbf{1925} &:= (1+F(9))\times F(2\times 5)\\ &:= F(5\times 2)\times(F(9)+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1973} &:= -1+F(9+7)\times F(3)\\ &:= F(3)\times F(7+9)-1\end{aligned}$$

$$\begin{aligned}\mathbf{2529} &:= F(2\times 5)+F(2\times 9)\\ &:= F(9\times 2)-F(5\times 2)\end{aligned}$$

$$\begin{aligned}\mathbf{2576} &:= F(25-7)-F(6)\\ &:= -F(6)+F(-7+5^2)\end{aligned}$$

$$\begin{aligned}\mathbf{2577} &:= F(25-7)-7\\ &:= -7+F(-7+5^2)\end{aligned}$$

$$\begin{aligned}\mathbf{2582} &:= F(2\times 5+8)-2\\ &:= -2+F(8+5\times 2)\end{aligned}$$

$$\begin{aligned}\mathbf{2584} &:= F(2\times(5+8-4))\\ &:= F((-4+8)\times 5-2)\end{aligned}$$

$$\begin{aligned}\mathbf{2585} &:= F(2)+F(5+8+5)\\ &:= F(5+8+5)+F(2)\end{aligned}$$

$$\begin{aligned}\mathbf{2586} &:= 2+F((-5+8)\times 6)\\ &:= F(6\times(8-5))+2\end{aligned}$$

$$\begin{aligned}\mathbf{3373} &:= (F(3)+F(7))^3-F(3)\\ &:= -F(3)+(F(3)+F(7))^3\end{aligned}$$

$$\begin{aligned}\mathbf{4791} &:= F(4)\times F(7+9+1)\\ &:= F(1+9+7)\times F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{4876} &:= -4+F(8+7)\times F(6)\\ &:= F(6)\times F(7+8)-4\end{aligned}$$

$$\begin{aligned}\mathbf{4893} &:= F(4+8)\times F(9)-3\\ &:= -3+F(9)\times F(8+4)\end{aligned}$$

$$\begin{aligned}\mathbf{4913} &:= -4+F(9-1)^3\\ &:= (-F(3)+19)^{F(4)}\end{aligned}$$

$$\begin{aligned}\mathbf{6936} &:= 6\times F(9)\times F(3+6)\\ &:= F(6+3)\times F(9)\times 6\end{aligned}$$

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$$\begin{aligned}\mathbf{10336} &:= (1+03)\times F(3\times 6)\\ &:= F(6\times 3)\times(3+01)\end{aligned}$$

$$\begin{aligned}\mathbf{10937} &:= -1\times 09+F(3\times 7)\\ &:= F(7\times 3)-9\times 01\end{aligned}$$

$$\begin{aligned}\mathbf{11392} &:= F(11)\times F(3)^{9-2}\\ &:= 2^{9-F(3)}\times F(11)\end{aligned}$$

$$\begin{aligned}\mathbf{12776} &:= F(1+2+7+7)\times F(6)\\ &:= F(6)\times F(7+7+2+1)\end{aligned}$$

$$\begin{aligned}\mathbf{12788} &:= -1+(-F(2)+F(7+8))\times F(8)\\ &:= F(8)\times(F(8+7)-F(2))-1\end{aligned}$$

$$\begin{aligned}\mathbf{12797} &:= (-1+F(2\times 7))\times F(9)+F(7)\\ &:= F(7)+F(9)\times(F(7\times 2)-1)\end{aligned}$$

$$\begin{aligned}\mathbf{12798} &:= 1+F(2\times 7)\times F(9)-F(8)\\ &:= -F(8)+F(9)\times F(7\times 2)+1\end{aligned}$$

$$\begin{aligned}\mathbf{12817} &:= -1+(F(2\times 8)-1)\times F(7)\\ &:= F(7)\times(-1+F(8\times 2))-1\end{aligned}$$

$$\begin{aligned}\mathbf{12818} &:= (-1+F(2\times 8))\times F(-1+8)\\ &:= F(8-1)\times(F(8\times 2)-1)\end{aligned}$$

$$\begin{aligned}\mathbf{12819} &:= 1+F(2\times(8-1))\times F(9)\\ &:= F(9)\times F((-1+8)\times 2)+1\end{aligned}$$

$$\begin{aligned}\mathbf{12959} &:= (1+F(2\times 9))\times 5+F(9)\\ &:= F(9)+5\times(F(9\times 2)+1)\end{aligned}$$

$$\begin{aligned}\mathbf{13525} &:= F((1+3)\times 5)\times 2-5\\ &:= -5+2\times F(5\times(3+1))\end{aligned}$$

$$\begin{aligned}\mathbf{13546} &:= F(1\times 3)\times(F(5\times 4)+F(6))\\ &:= (F(6)+F(4\times 5))\times(3-1)\end{aligned}$$

$$\begin{aligned}\mathbf{13549} &:= 1+F(3)\times(F(5\times 4)+9)\\ &:= (9+F(4\times 5))\times F(3)+1\end{aligned}$$

$$\begin{aligned}\mathbf{13572} &:= (1+35)\times F(7\times 2)\\ &:= F(2\times 7)\times(5+31)\end{aligned}$$

$$\begin{aligned}\mathbf{13837} &:= (1\times 3\times 8)^3+F(7)\\ &:= F(7)+(3\times 8)^3\times 1\end{aligned}$$

$$\begin{aligned}\mathbf{14336} &:= 14\times F(3)^{F(3)+F(6)}\\ &:= F(6)^3\times(3^{F(4)}+1)\end{aligned}$$

$$\begin{aligned}\mathbf{14678} &:= -1+F(4)\times F(6+7)\times F(8)\\ &:= F(8)\times F(7+6)\times F(4)-1\end{aligned}$$

$$\begin{aligned}\mathbf{14976} &:= F(-1+4+9)\times F(7)\times F(6)\\ &:= F(6)\times F(7)\times F(9+4-1)\end{aligned}$$

$$\begin{aligned}\mathbf{14987} &:= (-1+F(4)\times F(9)\times F(8))\times 7\\ &:= 7\times(F(8)\times F(9)\times F(4)-1)\end{aligned}$$

$$\begin{aligned}\mathbf{15464} &:= F(1+5)+F(4\times 6)/F(4)\\ &:= F(4\times 6)/F(4)+F(5+1)\end{aligned}$$

$$\begin{aligned}\mathbf{15665} &:= 1\times 5^6+F(6)\times 5\\ &:= 5^6+F(6)\times 5\times 1\end{aligned}$$

$$\begin{aligned}\mathbf{16376} &:= (1^6+3)^7-F(6)\\ &:= -F(6)+(7-3)^{6+1}\end{aligned}$$

$$\begin{aligned}\mathbf{16383} &:= -1+F(6)^{-3+8}/F(3)\\ &:= F(3)^{8+3}\times F(6)-1\end{aligned}$$

$$\begin{aligned}\mathbf{17496} &:= (-1+F(7)^{F(4)}-9)\times F(6)\\ &:= F(6)\times(9/F(4))^7\times 1\end{aligned}$$

$$\begin{aligned}\mathbf{17711} &:= F((1+1)\times 7+7+1)\\ &:= F(17+7-1-1)\end{aligned}$$

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$$\begin{aligned}\mathbf{17997} &:= (-1 \times F(7) + F(9+9)) \times 7 \\ &:= (-F(7) + F(9+9)) \times 7 \times 1\end{aligned}$$

$$\begin{aligned}\mathbf{18756} &:= (1 + (-8 + F(7))^5) \times 6 \\ &:= 6 \times (5^{F(7)-8} + 1)\end{aligned}$$

$$\begin{aligned}\mathbf{19447} &:= -1 + F(9) \times 44 \times F(7) \\ &:= F(7) \times 44 \times F(9) - 1\end{aligned}$$

$$\begin{aligned}\mathbf{19449} &:= -1 - F(9+4) + F(4)^9 \\ &:= -F(9+4) + F(4)^9 - 1\end{aligned}$$

$$\begin{aligned}\mathbf{19649} &:= (1 + F(9) - F(6))^{F(4)} - F(9) \\ &:= -F(9) + (-F(4) + 6)^9 \times 1\end{aligned}$$

$$\begin{aligned}\mathbf{19682} &:= -1 + (9-6)^{8+F(2)} \\ &:= F(2+8-6)^9 - 1\end{aligned}$$

$$\begin{aligned}\mathbf{19684} &:= 1 + (9-6)^8 \times F(4) \\ &:= F(4)^8 \times (-6+9) + 1\end{aligned}$$

$$\begin{aligned}\mathbf{19697} &:= 1 + (9-6)^9 + F(7) \\ &:= F(7) + (9-6)^9 + 1\end{aligned}$$

$$\begin{aligned}\mathbf{19747} &:= (7 + F(4)^7) \times 9 + 1 \\ &:= 1 + 9 \times (7 + F(4)^7)\end{aligned}$$

$$\begin{aligned}\mathbf{19965} &:= (-1 + F(9)) \times (F(9+6) - 5) \\ &:= (-5 + F(6+9)) \times (F(9) - 1)\end{aligned}$$

$$\begin{aligned}\mathbf{20274} &:= (F(20) \times F(2) - 7) \times F(4) \\ &:= F(4) \times (-7 + F(20)) \times F(2)\end{aligned}$$

$$\begin{aligned}\mathbf{21168} &:= (21 + F(16)) \times F(8) \\ &:= F(8) \times (6+1) \times F(12)\end{aligned}$$

$$\begin{aligned}\mathbf{21894} &:= 2 \times (1 + F(8+9+4)) \\ &:= (F(4+9+8) + 1) \times 2\end{aligned}$$

$$\begin{aligned}\mathbf{23182} &:= -2 + F(3 \times 1 \times 8)/2 \\ &:= -2 + F(8 \times 1 \times 3)/2\end{aligned}$$

$$\begin{aligned}\mathbf{23183} &:= (-2 + F(3 \times 1 \times 8))/F(3) \\ &:= F(3 \times 8)/F(1 \times 3) - F(2)\end{aligned}$$

$$\begin{aligned}\mathbf{23184} &:= F(23+1)/(8/4) \\ &:= F(4 \times (8+1-3))/2\end{aligned}$$

$$\begin{aligned}\mathbf{23688} &:= (F(2) + F(3)) \times F(6) \times F(8+8) \\ &:= F(8+8) \times 6 \times F(3) \times 2\end{aligned}$$

$$\begin{aligned}\mathbf{24297} &:= F(2 \times 4) \times F(2+9) \times F(7) \\ &:= F(7) \times F(9+2) \times F(4 \times 2)\end{aligned}$$

$$\begin{aligned}\mathbf{24334} &:= 2 \times (-4 + 3^3)^{F(4)} \\ &:= (-4 + 3^3)^{F(4)} \times 2\end{aligned}$$

$$\begin{aligned}\mathbf{24447} &:= F(2 \times 4 \times 4 - 4)/F(7) \\ &:= F(7 \times 4)/(F(4) \times 4 + F(2))\end{aligned}$$

$$\begin{aligned}\mathbf{24649} &:= -F(2) + (F(4)^6 - 4) \times F(9) \\ &:= (F(9) \times F(4) + F(6+4))^2\end{aligned}$$

$$\begin{aligned}\mathbf{25368} &:= 2 \times (F(5 \times 3) - 6) \times F(8) \\ &:= F(8) \times (-6 + F(3 \times 5)) \times 2\end{aligned}$$

$$\begin{aligned}\mathbf{27648} &:= 2^7 \times 6^{F(-4+8)} \\ &:= 8^{F(4)} \times 6 \times (7+2)\end{aligned}$$

$$\begin{aligned}\mathbf{27783} &:= (2 + 7/7) \times F(8)^3 \\ &:= 3 \times F(8)^{7/7+2}\end{aligned}$$

$$\begin{aligned}\mathbf{28547} &:= -F(2) + (8+5)^4 - F(7) \\ &:= F(7)^4 + 5 - F(8) + 2\end{aligned}$$

$$\begin{aligned}\mathbf{28623} &:= F(2 \times 8) \times (6 + 23) \\ &:= (3 + 26) \times F(8 \times 2)\end{aligned}$$

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$$\begin{aligned}\mathbf{28624} &:= F(2)+(F(8)+F(6))\times F(2^4)\\ &:= F(4^2)\times(F(6)+F(8))+F(2)\end{aligned}$$

$$\begin{aligned}\mathbf{28635} &:= -F(2)-F(8)+F(6\times 3+5)\\ &:= F(5+3\times 6)-F(8)-F(2)\end{aligned}$$

$$\begin{aligned}\mathbf{28641} &:= -2\times 8+F(6\times 4-1)\\ &:= F(-1+4\times 6)-8\times 2\end{aligned}$$

$$\begin{aligned}\mathbf{28644} &:= (-F(2)+8)\times(F(6)^4-4)\\ &:= (-4+4^6)\times(8-F(2))\end{aligned}$$

$$\begin{aligned}\mathbf{28654} &:= F(2\times(8+6)-5)-F(4)\\ &:= -F(4)+F(-5+(6+8)\times 2)\end{aligned}$$

$$\begin{aligned}\mathbf{28655} &:= -2+F(8\times 6-5\times 5)\\ &:= F(5\times 5+6-8)-2\end{aligned}$$

$$\begin{aligned}\mathbf{28657} &:= F(2+(-8+6+5)\times 7)\\ &:= F(7\times 5-6-8+2)\end{aligned}$$

$$\begin{aligned}\mathbf{28659} &:= 2+F((8-6)^5-9)\\ &:= F(-9\times 5+68)+2\end{aligned}$$

$$\begin{aligned}\mathbf{28678} &:= F(2+8+6+7)+F(8)\\ &:= F(8)+F(7+6+8+2)\end{aligned}$$

$$\begin{aligned}\mathbf{29267} &:= (-2+9)\times F(2\times 6+7)\\ &:= 7\times F(6+2+9+2)\end{aligned}$$

$$\begin{aligned}\mathbf{29988} &:= (F(2)\times F(9)+F(9))\times F(8)\times F(8)\\ &:= F(8)\times(8+F(9))\times F(9)\times F(2)\end{aligned}$$

$$\begin{aligned}\mathbf{32496} &:= (F(3\times 2)^4-F(9))\times F(6)\\ &:= F(6)\times(-F(9)+4^{2\times 3})\end{aligned}$$

$$\begin{aligned}\mathbf{32696} &:= (F(3)^{2\times 6)-9}\times F(6)\\ &:= -F(6)\times 9+F(6)^{2+3}\end{aligned}$$

$$\begin{aligned}\mathbf{32736} &:= (-F(3)+F((2+7)\times 3))/6\\ &:= (-F(6)+F(3)^{F(7)})\times(2+F(3))\end{aligned}$$

$$\begin{aligned}\mathbf{32739} &:= 3\times(F(2)+F(7\times 3)-F(9))\\ &:= (-F(9)+F(3\times 7)+F(2))\times 3\end{aligned}$$

$$\begin{aligned}\mathbf{32748} &:= (-3+2^{F(7)})\times 4-8\\ &:= (-8+4^7-2)\times F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{32758} &:= -F(3)+(F(2)+7)^5-8\\ &:= 8^5+F(7)-23\end{aligned}$$

$$\begin{aligned}\mathbf{32772} &:= (2^{7+7}+2)\times F(3)\\ &:= F(3)\times(2^{7+7}+2)\end{aligned}$$

$$\begin{aligned}\mathbf{32838} &:= 3\times F(2\times 8-3+8)\\ &:= F(8+3+8)+F(23)\end{aligned}$$

$$\begin{aligned}\mathbf{32856} &:= 3\times(F(2\times 8+5)+6)\\ &:= (6+F(5+8\times 2))\times 3\end{aligned}$$

$$\begin{aligned}\mathbf{32937} &:= 3\times(-F(2)+F(9)+F(3\times 7))\\ &:= (F(7\times 3)+F(9)-F(2))\times 3\end{aligned}$$

$$\begin{aligned}\mathbf{33286} &:= F(3\times 3)\times(F(2\times 8)-F(6))\\ &:= (-F(6)+F(8\times 2))\times F(3\times 3)\end{aligned}$$

$$\begin{aligned}\mathbf{33446} &:= -F(3)+F(3+4\times 4)\times F(6)\\ &:= F(6)\times F(4\times 4+3)-F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{33552} &:= F(2\times 5)\times F(5\times 3)+F(3)\\ &:= F(3)+F(3\times 5)\times F(5\times 2)\end{aligned}$$

$$\begin{aligned}\mathbf{33592} &:= (F(3+3)+5)\times F(9\times 2)\\ &:= F(2\times 9)\times(5+F(3+3))\end{aligned}$$

$$\begin{aligned}\mathbf{33618} &:= (F(3)+F(3\times 6))\times F(-1+8)\\ &:= F(8-1)\times(F(6\times 3)+F(3))\end{aligned}$$

$$\begin{aligned}\mathbf{33647} &:= 3+(F(3\times 6)+4)\times F(7)\\ &:= F(7)\times(4+F(6\times 3))+3\end{aligned}$$

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$$\begin{aligned}\mathbf{33667} &:= -3+(F(3\times 6)+6)\times F(7)\\ &:= F(7)\times(6+F(6\times 3))-3\end{aligned}$$

$$\begin{aligned}\mathbf{34992} &:= 3\times((F(4)+9)\times 9)^2\\ &:= F(2)\times(9+9)^4/3\end{aligned}$$

$$\begin{aligned}\mathbf{35421} &:= F(3)\times F(5\times 4+2)-1\\ &:= -1+F(2+4\times 5)\times F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{35422} &:= F(3)\times(5-4)\times F(22)\\ &:= 2\times F(24-5+3)\end{aligned}$$

$$\begin{aligned}\mathbf{35937} &:= (-F(-3+5)+F(9))^{F(-3+7)}\\ &:= ((F(7)-F(3))\times F(9-5))^3\end{aligned}$$

$$\begin{aligned}\mathbf{36173} &:= F(3\times 6)\times(1+F(7))-3\\ &:= -3+(F(7)+1)\times F(6\times 3)\end{aligned}$$

$$\begin{aligned}\mathbf{36176} &:= F(3\times 6)\times(1+7+6)\\ &:= (6+7+1)\times F(6\times 3)\end{aligned}$$

$$\begin{aligned}\mathbf{36288} &:= 36\times(F(2\times 8)+F(8))\\ &:= F(8)\times(8-2+6)^3\end{aligned}$$

$$\begin{aligned}\mathbf{38448} &:= F(3+8)\times F(4)\times F(4+8)\\ &:= F(8+4)\times F(4)\times F(8+3)\end{aligned}$$

$$\begin{aligned}\mathbf{38763} &:= 3+(8+7)\times F(6\times 3)\\ &:= (F((3\times 6))\times(7+8))+3\end{aligned}$$

$$\begin{aligned}\mathbf{39239} &:= 3+(F(9)^2-F(3))\times F(9)\\ &:= (F(9)^{F(3)}-2)\times F(9)+3\end{aligned}$$

$$\begin{aligned}\mathbf{39284} &:= (F(3\times 9)+2)/(8-F(4))\\ &:= -4-8\times 2+F(9)^3\end{aligned}$$

$$\begin{aligned}\mathbf{39296} &:= -F(3)+F(9)^2\times F(9)-6\\ &:= -6+F(9)^2\times F(9)-F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{39298} &:= F(3)+F(9)^2\times F(9)-8\\ &:= -8+F(9)^2\times F(9)+F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{39302} &:= -3+F(9)^3+F(02)\\ &:= -2+F(0\times 3+9)^3\end{aligned}$$

$$\begin{aligned}\mathbf{39303} &:= F(3)+F(9)^3-03\\ &:= -3/03+F(9)^3\end{aligned}$$

$$\begin{aligned}\mathbf{39306} &:= F(3)+F(9)^{3+0\times 6}\\ &:= -60+3^9\times F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{39307} &:= 3+F(9)^{3+0\times 7}\\ &:= 7\times 0+3+F(9)^3\end{aligned}$$

$$\begin{aligned}\mathbf{39315} &:= 3+F(9)^3+F(1+5)\\ &:= -51+3^9\times F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{39316} &:= 3+F(9)^3+1+F(6)\\ &:= 6\times(-1+3)+F(9)^3\end{aligned}$$

$$\begin{aligned}\mathbf{39323} &:= -F(3)+F(9)^3+F(2^3)\\ &:= -F(3)+F(2^3)+F(9)^3\end{aligned}$$

$$\begin{aligned}\mathbf{39327} &:= -3+F(9)^3+2\times F(7)\\ &:= F(7)\times 2-3+F(9)^3\end{aligned}$$

$$\begin{aligned}\mathbf{39328} &:= F(3)+F(9)^3+F(2)+F(8)\\ &:= F(8-2)\times 3+F(9)^3\end{aligned}$$

$$\begin{aligned}\mathbf{39332} &:= 3^9\times F(3)-F(3^2)\\ &:= F(2)+3^3+F(9)^3\end{aligned}$$

$$\begin{aligned}\mathbf{39333} &:= 3^9\times F(3)-33\\ &:= -33+3^9\times F(3)\end{aligned}$$

$$\mathbf{39334} := 3+F(9)^3+3^{F(4)}$$

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$:= -4 + F(3\times 3) + F(9)^3$

39336 $:= -F(3) + F(9)^3 + F(3+6)$
$:= F(6+3)^3 + F(9) - F(3)$

39348 $:= 3^9 \times F(3) + F(4) - F(8)$
$:= -F(8) + F(4) + 3^9 \times F(3)$

39374 $:= F(3) \times (9 \times 3^7 + 4)$
$:= (4 + F(7-3)^9) \times F(3)$

39377 $:= F(39/3) \times F(7) \times F(7)$
$:= F(7) \times F(7) \times F(39/3)$

39384 $:= 3^9 \times F(3) + F(8) - F(4)$
$:= (F(4)^8 + 3) \times (9-3)$

39387 $:= 3^9 \times F(3) + 8 + F(7)$
$:= F(7) + 8 + 3^9 \times F(3)$

39394 $:= -3 + 93 + F(9)^{F(4)}$
$:= (-4 + F(9)) \times 3 + F(9)^3$

39395 $:= 3^9 \times F(3) + F(9) - 5$
$:= -5 + F(9) + 3^9 \times F(3)$

39396 $:= F(3) \times (9 + 3^9 + 6)$
$:= (6 + 9 + 3^9) \times F(3)$

39397 $:= F(3) \times (9 + 3^9) + F(7)$
$:= F(7) + (9 + 3^9) \times F(3)$

39398 $:= (3 + F(9)^{F(3)}) \times F(9) - 8$
$:= -8 + F(9) \times 3 + F(9)^3$

39434 $:= F(3) \times (F(9) + F(4)^{3\times F(4)})$
$:= (F(4)^{3\times F(4)} + F(9)) \times F(3)$

39474 $:= F(3) \times 9 \times (-4 + F(7)^{F(4)})$
$:= (-4 + F(7)^{F(4)}) \times 9 \times F(3)$

42441 $:= (-1+44) \times F(2^4)$
$:= F(4^2) \times (44-1)$

42699 $:= (F(4^2)+6) \times (9 + F(9))$
$:= (9 + F(9)) \times (6 + F(2^4))$

43736 $:= 4 \times (F(3\times 7) - F(3) \times 6)$
$:= (-6 \times F(3) + F(7\times 3)) \times 4$

43756 $:= 4 \times (F(3\times 7) - 5) - F(6)$
$:= -F(6) + (-5 + F(7\times 3)) \times 4$

43757 $:= 4 \times (F(3\times 7) - 5) - 7$
$:= -7 + (-5 + F(7\times 3)) \times 4$

43758 $:= 4 \times (F(3\times 7) - 5) - F(8)$
$:= -F(8) - 5 + F(7\times 3) \times 4$

43771 $:= -1 \times F(7) + F(7\times 3) \times 4$
$:= 4 \times F(3\times 7) - F(7) \times 1$

43784 $:= 4 \times F(3\times 7) \times F(8/4)$
$:= 4 \times F((87-3)/4)$

43786 $:= 4 \times F(3\times 7) + 8 - 6$
$:= -6 + 8 + F(7\times 3) \times 4$

43788 $:= 4 \times (F(3\times 7) + 8/8)$
$:= (8/8 + F(7\times 3)) \times 4$

43792 $:= 4 \times F(3\times 7) + 9 - F(2)$
$:= (2 + F(9\times 7/3)) \times 4$

43796 $:= 4 \times (3 + F(7\times (9-6)))$
$:= (-6 + 9 + F(7\times 3)) \times 4$

43816 $:= 4 \times (F(3\times (8-1)) + F(6))$

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$:= (F(6) + F(18+3)) \times 4$

43923 $:= F(4) \times (F(3)+9)^{2\times F(3)}$
$:= 3 \times (F(2) \times 9 + F(3))^4$

44898 $:= (-4 + F(4) \times F(8) \times F(9)) \times F(8)$
$:= F(8) \times (F(9) \times F(8) \times F(4) - 4)$

44924 $:= 44 \times (F(9) + F(2^4))$
$:= (F(4^2) + F(9)) \times 44$

46096 $:= F(4 \times 6) - F(09) \times F(6)$
$:= -F(6) \times F(9) + F(06 \times 4)$

46179 $:= F(4 \times 6) - F(1+7) \times 9$
$:= -9 \times F(7+1) + F(6 \times 4)$

46208 $:= F(4 \times 6) - 20 \times 8$
$:= -80 \times 2 + F(6 \times 4)$

46224 $:= F(4 \times 6) - F(2 \times (2+4))$
$:= -F((4+2) \times 2) + F(6 \times 4)$

46226 $:= F(4 \times 6) + 2 - F(2 \times 6)$
$:= -F(6 \times 2) + 2 + F(6 \times 4)$

46277 $:= F(4 \times 6) - F(2) \times F(7) \times 7$
$:= -7 \times F(7) \times F(2) + F(6 \times 4)$

46283 $:= -3 - 82 + F(6 \times 4)$
$:= F(4 \times 6) - 2 - 83$

46284 $:= F(4 \times 6) \times F(2) - 84$
$:= -4 \times F(8) \times F(2) + F(6 \times 4)$

46285 $:= F(4 \times 6) + 2 - 85$
$:= 5 \times (F(8)^{F(-2+6)} - 4)$

46288 $:= F(4 \times 6) - (2+8) \times 8$
$:= -8 \times (8+2) + F(6 \times 4)$

46294 $:= F(4 \times 6) - 2 \times (F(9) + F(4))$
$:= -(F(4) + F(9)) \times 2 + F(6 \times 4)$

46295 $:= F(4 \times 6) - 2 \times F(9) - 5$
$:= -5 - F(9) \times 2 + F(6 \times 4)$

46296 $:= F(4 \times 6) - F(2) \times 9 \times F(6)$
$:= -F(6) \times 9 \times F(2) + F(6 \times 4)$

46298 $:= F(4 \times 6) + 2 - 9 \times 8$
$:= -8 \times 9 + 2 + F(6 \times 4)$

46299 $:= F(4 \times 6) - F(2) - F(9) - F(9)$
$:= -F(9) - F(9) - F(2) + F(6 \times 4)$

46313 $:= F(4 \times 6) - F(-3+13)$
$:= -F(-3+13) + F(6 \times 4)$

46324 $:= -46 + F(3) + F(24)$
$:= -42 - F(3) + F(6 \times 4)$

46326 $:= F(4 \times 6) - F(3^2) - F(6)$
$:= -F(6+2) \times F(3) + F(6 \times 4)$

46328 $:= F(4 \times 6) - 32 - 8$
$:= -8 \times (2+3) + F(6 \times 4)$

46329 $:= F(4 \times 6) - 3 - 2 - F(9)$
$:= -F(9-2) \times 3 + F(6 \times 4)$

46332 $:= F(4 \times 6) - (3+3)^2$
$:= -2 - F(3 \times 3) + F(6 \times 4)$

46333 $:= F(4 \times 6) - F(3) - 33$
$:= -33 - F(3) + F(6 \times 4)$

46334 $:= F(4 \times 6) - F(-3+3 \times 4)$
$:= -F(4 \times 3 - 3) + F(6 \times 4)$

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$$\begin{aligned}\mathbf{46336} &:= F(4\times 6)+F(3)-F(3+6)\\ &:= -F(6)\times F(3)\times F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46338} &:= -(4+6)\times 3+F(3\times 8)\\ &:= F(8\times 3)-3\times(6+4)\end{aligned}$$

$$\begin{aligned}\mathbf{46339} &:= F(4\times 6)-F(3)-3\times 9\\ &:= -9\times 3-F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46341} &:= F(4\times 6)-3^{4-1}\\ &:= -1\times F(4)^3+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46342} &:= F(4\times 6)-F(3+4)\times 2\\ &:= F(24)-F(3)-6\times 4\end{aligned}$$

$$\begin{aligned}\mathbf{46343} &:= F(4\times 6)-(F(3)+F(4))^{F(3)}\\ &:= F(3)-F(4)^3+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46344} &:= F((4+4)\times 3)-6\times 4\\ &:= F(4\times 6)-3\times(4+4)\end{aligned}$$

$$\begin{aligned}\mathbf{46345} &:= F(4\times 6)-3-4\times 5\\ &:= -5\times 4-3+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46346} &:= F(4\times 6)+F(3)-4\times 6\\ &:= F(6\times 4)-3\times 6-4\end{aligned}$$

$$\begin{aligned}\mathbf{46347} &:= F(4\times 6)-34+F(7)\\ &:= -F(7+4-3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46348} &:= F(4\times 6)-3\times 4-8\\ &:= -8-4\times 3+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46352} &:= F(4\times 6)-(3+5)\times 2\\ &:= -2\times(5+3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46354} &:= F(4\times 6)-F(3)\times 5-4\\ &:= -4-5\times F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46355} &:= F(4\times 6)-3-5-5\\ &:= -5-5-3+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46356} &:= F(4\times 6)+(3-5)\times 6\\ &:= 6\times(-5+3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46357} &:= F(4\times 6)-3+5-F(7)\\ &:= -F(7)+5-3+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46358} &:= F(4\times 6)+3-5-8\\ &:= -8-5+3+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46359} &:= -F(4)-6+F(3\times 5+9)\\ &:= -9\times F(5-3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46371} &:= 1^7\times 3+F(6\times 4)\\ &:= F(4)+F(6\times 3+7-1)\end{aligned}$$

$$\begin{aligned}\mathbf{46376} &:= F(4\times 6)+3+F(7)-F(6)\\ &:= -6+7\times F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46377} &:= F(4\times 6)+3-7+F(7)\\ &:= F(7)-7+3+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46378} &:= F(4\times 6)+F(3)-F(7)+F(8)\\ &:= (-8+F(7))\times F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46391} &:= F(4\times 6)+F(3)+F(9-1)\\ &:= F(-1+9)+F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46392} &:= F(4\times 6)+F((3+9)\times 2)\\ &:= 2\times(9+3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46393} &:= F(4\times 6)-F(3)+9\times 3\\ &:= 3\times 9-F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46394} &:= F(4\times 6)+F(3)\times(9+4)\\ &:= (4+9)\times F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46395} &:= F(4\times 6)-F(3)+F(9)-5\\ &:= -5+F(9)-F(3)+F(6\times 4)\end{aligned}$$

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$$\begin{aligned}\mathbf{46396} &:= F(4\times 6)+F(3)+F(9)-F(6)\\ &:= -F(6)+F(9)+F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46397} &:= F(4\times 6)+F(3)+F(9)-7\\ &:= -7+F(9)+F(3)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46399} &:= -F(4)+F(6^3/9)+F(9)\\ &:= F(9)-9/3+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46404} &:= F(4\times 6)+40-4\\ &:= 40-4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46407} &:= F(4\times 6)+F(4)\times F(07)\\ &:= F(7)\times F(04)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46419} &:= -4+F(6\times 4)+F(1+9)\\ &:= F(9+1)-4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46423} &:= F(4\times 6)+F(4+2\times 3)\\ &:= F(3\times 2+4)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46428} &:= F(4\times 6)-F(4)\times(F(2)-F(8))\\ &:= 8^2-4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46432} &:= (F(4\times 6)+4^3)\times F(2)\\ &:= (F(2)+3)^{F(4)}+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46436} &:= 4+F(6\times 4)+F(3)^6\\ &:= F(6)^{F(3)}+4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46439} &:= F(4)+F(6\times 4)+F(3)\times F(9)\\ &:= F(9)\times F(3)+F(4)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46448} &:= -4+F(6\times 4)+4\times F(8)\\ &:= 84-4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46449} &:= F(4\times 6)+F(4)\times F(4)\times 9\\ &:= (9/F(4))^4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46472} &:= F(4\times 6)+4\times F(7)\times 2\\ &:= 2\times F(7)\times 4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46476} &:= 4+F(6\times 4)+F(7)\times F(6)\\ &:= F(6)\times F(7)+4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46478} &:= F(4\times 6)+F(4+7)+F(8)\\ &:= F(8)+F(7+4)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46487} &:= F(4\times 6)+(-4+F(8))\times 7\\ &:= 7\times(F(8)-4)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46488} &:= ((F(4)\times 6)^{F(4)}-F(8))\times 8\\ &:= 8\times(-F(8)+(F(4)\times 6)^{F(4)})\end{aligned}$$

$$\begin{aligned}\mathbf{46496} &:= F(4\times 6)+4\times F(9)-F(6)\\ &:= -F(6)+F(9)\times 4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46497} &:= F(4\times 6)+4\times F(9)-7\\ &:= -7+F(9)\times 4+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46512} &:= F(4\times 6)+F((5+1)\times 2)\\ &:= F(2\times(1+5))+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46533} &:= F(4\times 6)+5\times 33\\ &:= 33\times 5+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46536} &:= F(4\times 6)+F(5+3)\times F(6)\\ &:= F(6)\times F(3+5)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46566} &:= -F(4)\times 6\times 5+6^6\\ &:= 6^6-5\times 6\times F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46618} &:= -4+6^6-F(1+8)\\ &:= -F(8+1)+6^6-4\end{aligned}$$

$$\begin{aligned}\mathbf{46619} &:= -4+6^6+1-F(9)\\ &:= -F(9)\times 1+6^6-F(4)\end{aligned}$$

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$$\begin{aligned}\mathbf{46624} &:= F(4\times 6)+(6-2)^4\\ &:= 4\times 2^6+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46627} &:= -F(4)+6^6-2\times F(7)\\ &:= -F(7)\times 2+6^6-F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46636} &:= 4+6^6-3\times F(6)\\ &:= -F(6)\times 3+6^6+4\end{aligned}$$

$$\begin{aligned}\mathbf{46637} &:= -4+6^6-F(3)-F(7)\\ &:= F(7)+F(3)^{F(6)}+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46638} &:= F(4)+(6\times 6)^3-F(8)\\ &:= (8-F(3))^6-6\times F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46643} &:= F(4)+6^6-4^{F(3)}\\ &:= -3\times F(4)+6^6-4\end{aligned}$$

$$\begin{aligned}\mathbf{46645} &:= 4+6^6-F(4)\times 5\\ &:= -5\times F(4)+6^6+4\end{aligned}$$

$$\begin{aligned}\mathbf{46646} &:= -4+(6\times 6)^{F(4)}-6\\ &:= -6-4+(6\times 6)^{F(4)}\end{aligned}$$

$$\begin{aligned}\mathbf{46647} &:= 4+(6\times 6)^{F(4)}-F(7)\\ &:= -F(7)+4+(6\times 6)^{F(4)}\end{aligned}$$

$$\begin{aligned}\mathbf{46653} &:= -4+6^6+F(5-3)\\ &:= (3-5+F(6))^6-F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46654} &:= -4+6^6+5-F(4)\\ &:= -4+5+6^6-F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46657} &:= F(4)+6^6+5-7\\ &:= -7+5+6^6+F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46658} &:= 4+6^6-F(-5+8)\\ &:= F(8-5)+(6\times 6)^{F(4)}\end{aligned}$$

$$\begin{aligned}\mathbf{46659} &:= F(4)+6^{F(6)\times 5-F(9)}\\ &:= (9+5-F(6))^6+F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46671} &:= F(4)+6^6+F(7)-1\\ &:= -1+F(7)+6^6+F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46672} &:= (F(4)+6^6+F(7))\times F(2)\\ &:= F(2)\times F(7)+6^6+F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46674} &:= -F(4)+6^6+7\times F(4)\\ &:= F(4)\times 7+6^6-F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{46679} &:= -4+6^6-7+F(9)\\ &:= F(9)-7+6^6-4\end{aligned}$$

$$\begin{aligned}\mathbf{46779} &:= F(4\times 6)+F(7+7)+F(9)\\ &:= F(9)+F(7+7)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46784} &:= F(4\times 6)+F(7)\times 8\times 4\\ &:= 4\times 8\times F(7)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46797} &:= F(4\times 6)+F(7)\times F(9)-F(7)\\ &:= F(7)\times F(9)-F(7)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46866} &:= (4+6)\times F(8)+6^6\\ &:= 6^6+F(8)\times(6+4)\end{aligned}$$

$$\begin{aligned}\mathbf{46944} &:= F(4\times 6)+9\times 4^{F(4)}\\ &:= 4^{F(4)}\times 9+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46969} &:= F(4\times 6)-9+F(6+9)\\ &:= -9+F(6+9)+F(6\times 4)\end{aligned}$$

$$\begin{aligned}\mathbf{46987} &:= F(4\times 6)+9+F(8+7)\\ &:= F(7+8)+9+F(6\times 4)\end{aligned}$$

$$\mathbf{47345} := 4+7\times(-F(3)+F(4\times 5))$$

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$:= (F(5\times 4) - F(3)) \times 7 + 4$

49152 $:= F(4) \times (9-1)^5/2$
$:= 2^{5\times 1+9} \times F(4)$

49164 $:= (F(4)+9) \times (1+F(6)^4)$
$:= (4^6+1) \times (9+F(4))$

54136 $:= (F(5\times 4) + 1 \times F(3)) \times F(6)$
$:= F(6) \times (F(3) + F(1\times 4\times 5))$

54298 $:= (F(5+4) \times F(2)) \times F(9+8)$
$:= F(8+9) \times F(2) \times F(4+5)$

54336 $:= (F(5\times 4) + 3^3) \times F(6)$
$:= F(6) \times (3^3 + F(4\times 5))$

54696 $:= (F(5\times 4) + F(6) \times 9) \times F(6)$
$:= F(6) \times (9 \times F(6) + F(4\times 5))$

54737 $:= 5 \times (4 + F(7\times 3)) - F(7)$
$:= -F(7) + (F(3\times 7) + 4) \times 5$

54936 $:= (F(5\times 4) + F(9) \times 3) \times F(6)$
$:= F(6) \times (3 \times F(9) + F(4\times 5))$

55924 $:= -5^5 + 9^{F(2)+4}$
$:= F(4)^{F(2)+9} - 5^5$

59057 $:= -5 + 9^{05} + F(7)$
$:= F(7) - 5 + 09^5$

62896 $:= (F(6) \times F(2\times 8) - F(9)) \times F(6)$
$:= F(6) \times (-F(9) + F(8\times 2) \times F(6))$

63376 $:= F(6) \times F(3\times 3) \times F(7+6)$
$:= F(6+7) \times F(3\times 3) \times F(6)$

63424 $:= F(6)^{F(3)} \times (4 + F(2^4))$
$:= (4 + F(2^4)) \times F(3)^6$

64847 $:= -F(6) + (4 + F(8)^{F(4)}) \times 7$
$:= 7 \times (4 + F(8)^{F(4)}) - F(6)$

65447 $:= -F(6+5) + 4 \times 4^7$
$:= (F(7) + F(4))^4 - F(5+6)$

65533 $:= F(6)^5 \times (5-3) - 3$
$:= -3 + F(3)^{5+5+6}$

65673 $:= -F(6) + 5 + 6 \times F(7\times 3)$
$:= F(3\times 7) \times 6 + 5 - F(6)$

68796 $:= (F(6) + F(9)) \times F(7) \times F(8) \times 6$
$:= 6 \times F(8) \times F(7) \times (F(9) + F(6))$

69626 $:= -6 + F(9) \times F(6) \times 2^{F(6)}$
$:= -6 + 2^{F(6)} \times F(9) \times F(6)$

69638 $:= 6 + F(9) \times F(6) \times F(3)^8$
$:= 8 \times F(3)^{F(6)} \times F(9) + 6$

69972 $:= (F(6) + F(9)) \times F(9) \times 7^2$
$:= (F(2\times 7) - F(9)) \times F(9) \times 6$

69984 $:= 6 \times 9 \times 9 \times F(8+4)$
$:= F(4+8) \times 9 \times 9 \times 6$

73739 $:= -7 + (F(3)^{F(7)} + F(3)) \times 9$
$:= 9 \times F(3)^{F(7)} - F(3) + F(7)$

74415 $:= (7+4) \times F(4\times 1\times 5)$
$:= F(5\times 1\times 4) \times (4+7)$

74752 $:= -F(7) \times F(4) \times 7 + F(5^2)$
$:= F(25) - F(7) \times F(4) \times 7$

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$$\begin{aligned}\mathbf{74795} &:= (F(7)+F(4)^7)\times F(9)-5\\ &:= -5+F(9)\times(F(7)+F(4)^7)\end{aligned}$$

$$\begin{aligned}\mathbf{74878} &:= F(-7+4\times 8)-7\times F(8)\\ &:= -F(8)\times 7+F(8\times 4-7)\end{aligned}$$

$$\begin{aligned}\mathbf{74936} &:= (-7+4\times 9)\times F(3\times 6)\\ &:= F(6\times 3)\times(9\times 4-7)\end{aligned}$$

$$\begin{aligned}\mathbf{74952} &:= -F(7)\times F(4)-F(9)+F(5^2)\\ &:= F(25)-F(9)-F(4)\times F(7)\end{aligned}$$

$$\begin{aligned}\mathbf{74997} &:= -7\times 4+F(9+9+7)\\ &:= F(7+9+9)-4\times 7\end{aligned}$$

$$\begin{aligned}\mathbf{75012} &:= -F(7)+F((5\times 01)^2)\\ &:= F(2\times 10+5)-F(7)\end{aligned}$$

$$\begin{aligned}\mathbf{75025} &:= F(7\times 5\times 0+25)\\ &:= F(5^{2\times 0-5+7})\end{aligned}$$

$$\begin{aligned}\mathbf{75026} &:= -7+F(5^{02})+F(6)\\ &:= -6+F(20+5)+7\end{aligned}$$

$$\begin{aligned}\mathbf{75029} &:= F(7)+F(5^{02})-9\\ &:= -9+F(20+5)+F(7)\end{aligned}$$

$$\begin{aligned}\mathbf{75032} &:= 7+F(5^{0\times 3+2})\\ &:= F((2+3)\times 05)+7\end{aligned}$$

$$\begin{aligned}\mathbf{75038} &:= F(7)+F(5\times(-03+8))\\ &:= F((8-3)\times 05)+F(7)\end{aligned}$$

$$\begin{aligned}\mathbf{76398} &:= (F(7)\times F(6)+3)\times F(9)\times F(8)\\ &:= F(8)\times F(9)\times(3+F(6)\times F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{76622} &:= 7\times F((6+6^2)/2)\\ &:= F(22-6/6)\times 7\end{aligned}$$

$$\begin{aligned}\mathbf{76678} &:= 7\times(F(6)+F(6+7+8))\\ &:= (F(8+7+6)+F(6))\times 7\end{aligned}$$

$$\begin{aligned}\mathbf{76853} &:= -7+6\times F(8)\times F(5\times 3)\\ &:= F(3\times 5)\times F(8)\times 6-(7)\end{aligned}$$

$$\begin{aligned}\mathbf{76978} &:= F(7)\times 6\times F(9+7)-8\\ &:= -8+F(7+9)\times 6\times F(7)\end{aligned}$$

$$\begin{aligned}\mathbf{78735} &:= (F(7)-8)^7+F(3\times 5)\\ &:= F(5\times 3)+(F(7)-8)^7\end{aligned}$$

$$\begin{aligned}\mathbf{79947} &:= F(7+9)\times(F(9)+47)\\ &:= (F(7)-4)\times 9\times F(9+7)\end{aligned}$$

$$\begin{aligned}\mathbf{79968} &:= (F(7)\times F(9)+F(9))\times F(6)\times F(8)\\ &:= 8\times(F(6)+F(9))\times F(9)\times 7\end{aligned}$$

$$\begin{aligned}\mathbf{82936} &:= (8\times(2+F(9)))^{F(3)}-F(6)\\ &:= (F(6)\times(F(3)+F(9)))^2-8\end{aligned}$$

$$\begin{aligned}\mathbf{83349} &:= F(8)^3\times 3^4/9\\ &:= (9\times(4+3))^{F(3)}\times F(8)\end{aligned}$$

$$\begin{aligned}\mathbf{85764} &:= F(8)\times(-5-7+F(6)^4)\\ &:= (4^6-7-5)\times F(8)\end{aligned}$$

$$\begin{aligned}\mathbf{86919} &:= (-F(9)+F(19)-F(6))\times F(8)\\ &:= F(8)\times(-F(6)-F(9)+F(19))\end{aligned}$$

$$\begin{aligned}\mathbf{87387} &:= (-F(8)+F(7\times 3))\times 8-F(7)\\ &:= -F(7)+(-F(8)+F(3\times 7))\times 8\end{aligned}$$

$$\begin{aligned}\mathbf{87639} &:= F(8)+(-7+F(6\times 3))\times F(9)\\ &:= F(9)\times(F(3\times 6)-7)+F(8)\end{aligned}$$

$$\begin{aligned}\mathbf{87672} &:= 8\times(F(7)+F(6\times 7/2))\\ &:= (F(27-6)+F(7))\times 8\end{aligned}$$

$$\begin{aligned}\mathbf{87736} &:= 8+F(7)+F(7\times 3)\times F(6)\end{aligned}$$

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$:= (F(6) + F(3 \times 7) + F(7)) \times 8$

87856 $:= (F(8) + F(7)) \times F((8-5) \times 6)$
$:= F(6 \times (-5+8)) \times (F(7) + F(8))$

87937 $:= -8 + F(7) \times F(9 \times 3 - 7)$
$:= F(7) \times F(3 \times 9 - 7) - 8$

87945 $:= (-8 - F(7) + F(9)) \times F(4 \times 5)$
$:= F(5 \times 4) \times (F(9) - F(7) - 8)$

88595 $:= (8 + F(8+5+9)) \times 5$
$:= 5 \times (F(9+5+8) + 8)$

89964 $:= F(8) \times F(9) \times (F(9) + F(6)) \times F(4)$
$:= F(4) \times (F(6) + F(9)) \times F(9) \times F(8)$

91982 $:= F(9+1+9) \times (F(8) + F(2))$
$:= (F(2) + F(8)) \times F(9+1+9)$

93346 $:= F(9) + F(3) \times (F(3)+4)^6$
$:= 6^{4+3}/3 + F(9)$

98325 $:= 9 \times (-F(8) + F(3 \times (2+5)))$
$:= (F((5+2) \times 3) - F(8)) \times 9$

98469 $:= (9 + F(6)^{F(4)}) \times F(8) \times 9$
$:= F(9) + (8 - F(4)) \times F(4)^9$

98577 $:= 9 \times (F((8-5) \times 7) + 7)$
$:= (7 + F(7 \times (-5+8))) \times 9$

98586 $:= 9 \times (F(8+5+8) + F(6))$
$:= (F(6) + F(8+5+8)) \times 9$

98703 $:= 9 \times (F(8) + F(7 \times 03))$
$:= (F(3 \times 07) + F(8)) \times 9$

5.1.2 With Factorial

13 $:= F(1+3!)$
$:= F(3!+1)$

21 $:= F(F((1+2)!))$
$:= F(F((2+1)!))$

23 $:= 2 + F(F(3!))$
$:= F(F(3!)) + 2$

24 $:= F(2) \times 4!$
$:= 4! \times F(2)$

42 $:= 2 \times F(F(F(4)!))$
$:= F(F(F(4)!)) \times 2$

48 $:= F(4)! \times 8$
$:= 8 \times F(4)!$

147 $:= 1 \times F(F(F(4)!)) \times 7$
$:= 7 \times F(F((4-1)!))$

227 $:= -(F(2+2))! + F(F(7))$
$:= F(F(7)) - (F(2+2))!$

247 $:= (-2 + F(F(F(4)!))) \times F(7)$
$:= F(7) \times (F(F(F(4)!)) - 2)$

254 $:= F(F(2+5)) + F(F(F(4)!))$
$:= F(F(F(4)!)) + F(F(5+2))$

257 $:= (-F(2)+5)! + F(F(7))$
$:= F(F(7)) + (5 - F(2))!$

273 $:= F(2) \times F(7) \times F(F(3!))$
$:= F(F(3!)) \times F(7) \times F(2)$

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$$\begin{aligned}\mathbf{274} &:= F(2)+F(7)\times F(F(F(4)!))\\ &:= F(F(F(4)!))\times F(7)+F(2)\end{aligned}$$

$$\begin{aligned}\mathbf{336} &:= F(3)\times F(3!)\times F(F(6))\\ &:= F(6)!/(F(3)+3)!\end{aligned}$$

$$\begin{aligned}\mathbf{347} &:= 3!!/F(F(4))-F(7)\\ &:= -F(7)+F(4)!!/F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{354} &:= (-F(3)+5!)\times F(4)\\ &:= F(4)\times(5)!-3!\end{aligned}$$

$$\begin{aligned}\mathbf{371} &:= -3!+F(F(7)+1)\\ &:= F(1+F(7))-3!\end{aligned}$$

$$\begin{aligned}\mathbf{384} &:= F(3)\times 8\times 4!\\ &:= 4!\times 8\times F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{432} &:= F(4)\times F(3!\times 2)\\ &:= 2\times 3!^{F(4)}\end{aligned}$$

$$\begin{aligned}\mathbf{433} &:= -F(F(4)!)+F(F(3!))^{F(3)}\\ &:= F(F(3!))^{F(3)}-F(F(4)!)\end{aligned}$$

$$\begin{aligned}\mathbf{441} &:= F(F(F(4)!))^{F(4-1)}\\ &:= F(F((F(1\times 4))!))^{F(F(4))}\end{aligned}$$

$$\begin{aligned}\mathbf{442} &:= F(F(F(4)!))^{F(F(4))}+F(2)\\ &:= F(2)+F(F(F(4)!))^{F(F(4))}\end{aligned}$$

$$\begin{aligned}\mathbf{443} &:= F(F(F(4)!))^{F(F(4))}+F(3)\\ &:= F(F(3!))^{F(F(4))}+F(F(4))\end{aligned}$$

$$\begin{aligned}\mathbf{445} &:= F(F(4)+F(F(4)!))\times 5\\ &:= 5\times F(F(4)+F(F(4)!))\end{aligned}$$

$$\begin{aligned}\mathbf{447} &:= F(4)!!-F(F(F(4)!))\times F(7)\\ &:= -F(7)\times F(F(F(4)!))+F(4)!!\end{aligned}$$

$$\begin{aligned}\mathbf{448} &:= F(F(4)!)!/(F(4)!!/8)\\ &:= 8!/(F(4)!)!\times F(F(4)!)\end{aligned}$$

$$\begin{aligned}\mathbf{462} &:= F(F(F(4)!))\times(F(F(6))+F(2))\\ &:= (F(2)+F(F(6)))\times F(F(F(4)!))\end{aligned}$$

$$\begin{aligned}\mathbf{483} &:= (F(F(4))+F(8))\times F(F(3!))\\ &:= F(F(3!))\times(F(8)+F(F(4)))\end{aligned}$$

$$\begin{aligned}\mathbf{487} &:= (4!/8)!!-F(F(7))\\ &:= -F(F(7))+(F(8-4))!!\end{aligned}$$

$$\begin{aligned}\mathbf{496} &:= -F(F(4)!)+9!/6!\\ &:= -F(6)+9!/F(4)!!\end{aligned}$$

$$\begin{aligned}\mathbf{504} &:= F(F(5+0!))\times 4!\\ &:= 4!\times F(F(0!+5))\end{aligned}$$

$$\begin{aligned}\mathbf{534} &:= F(5+3!)\times F(4)!\\ &:= F(4)!\times F(3!+5)\end{aligned}$$

$$\begin{aligned}\mathbf{546} &:= (5+F(F(F(4)!)))\times F(F(6))\\ &:= F(F(6))\times(F(F(F(4)!))+5)\end{aligned}$$

$$\begin{aligned}\mathbf{564} &:= (5!+F(F(6)))\times 4\\ &:= 4\times(F(F(6))+5!)\end{aligned}$$

$$\begin{aligned}\mathbf{576} &:= -F(5+7)+6!\\ &:= 6!-F(7+5)\end{aligned}$$

$$\begin{aligned}\mathbf{594} &:= -5!+F(9)\times F(F(F(4)!))\\ &:= F(F(F(4)!))\times F(9)-5!\end{aligned}$$

$$\begin{aligned}\mathbf{634} &:= F(F(F(6))-3!)+4!\\ &:= 4!+F(-3!+F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{664} &:= -F(6)!/6!+F(4)!!\\ &:= F(4)!!-F(6)!/6!\end{aligned}$$

$$\mathbf{679} := 6!-7-F(9)$$

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$:= -F(9) - 7 + 6!$

694 $:= 6! - F(9) + F(F(4)!)$
$:= F(4)!! - F(9) + F(6)$

706 $:= -F(7) - 0! + 6!$
$:= 6! - 0! - F(7)$

714 $:= (7-1)! - F(4)!$
$:= -F(4)! + (-1+7)!$

732 $:= F(7) + 3!! - F(2)$
$:= -F(2) + 3!! + F(7)$

733 $:= F(7) + (3+3)!$
$:= (3+3)! + F(7)$

734 $:= 7 \times F(3) + F(4)!!$
$:= F(F(F(4))) + 3!! + F(7)$

735 $:= 7 \times F(F(3!)) \times 5$
$:= 5 \times F(F(3!)) \times 7$

746 $:= F(7) \times F(F(4)) + 6!$
$:= 6! + F(F(4)) \times F(7)$

748 $:= 7 + F(4)!! + F(8)$
$:= F(8) + F(4)!! + 7$

754 $:= -F(F(7)) + F(-5 + F(F(F(4)!)))$
$:= F(F(F(F(4)!)) - 5) - F(F(7))$

846 $:= F(8) \times F(4)! + 6!$
$:= 6! + F(4)! \times F(8)$

945 $:= 9 \times F(F(F(4)!)) \times 5$
$:= 5 \times F(F(F(4)!)) \times 9$

947 $:= F(9) \times F(F(F(4)!)) + F(F(7))$
$:= F(F(7)) + F(F(F(4)!)) \times F(9)$

953 $:= -F(9) + F(-5 + F(F(3!)))$
$:= F(F(F(3!)) - 5) - F(9)$

1323 $:= (-1 + F(3!)^2) \times F(F(3!))$
$:= F(F(3!)) \times (2^{3!} - 1)$

1324 $:= 1 + F(F(3!))^2 \times F(4)$
$:= F(F(F(4)!))^2 \times 3 + 1$

1336 $:= (-1 + F(3!) \times F(F(3!))) \times F(6)$
$:= F(6) \times (F(3!) \times F(F(3!)) - 1)$

1343 $:= -1 + (F(3!))!/(4! + 3!)$
$:= (F(3!))!/(4! + 3!) - 1$

1344 $:= (1 + F(3! + 4)) \times 4!$
$:= 4! \times (F(4 + 3!) + 1)$

1359 $:= -1 + F(3!) \times 5 \times F(9)$
$:= F(9) \times 5!/3 - 1$

1374 $:= (-1 - 3 + F(F(7))) \times F(4)!$
$:= (-4 + F(F(7))) \times 3! \times 1$

1376 $:= -1 + 3! \times F(F(7)) - F(F(6))$
$:= -F(F(6)) + F(F(7)) \times 3! - 1$

1378 $:= 1 + 3! \times F(F(7)) - F(8)$
$:= -F(8) + F(F(7)) \times 3! + 1$

1398 $:= 1 \times 3! \times F(F(9) - F(8))$
$:= F(-F(8) + F(9)) \times 3! \times 1$

1404 $:= (1 + F(F(F(4)! + 0!))) \times F(4)!$
$:= F(4)! \times (0! + F(F(F(4)! + 1)))$

1427 $:= 1 \times F(4)!! \times 2 - F(7)$
$:= -F(7) + 2 \times (4-1)!!$

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$$\begin{aligned}\mathbf{1428} &:= F(1+F(F(4)!))\times 2\times F(8)\\ &:= F(8)\times 2\times F(F(F(4)!)+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1433} &:= -1-F(4)!+3!!+3!!\\ &:= (3!!-3)\times F(F(4))-1\end{aligned}$$

$$\begin{aligned}\mathbf{1434} &:= (1-4+3!!)\times F(F(4))\\ &:= (-F(4)+3!!)\times F(4-1)\end{aligned}$$

$$\begin{aligned}\mathbf{1436} &:= (1-F(4))\times (F(3)-6!)\\ &:= 6!\times F(3)-4\times 1\end{aligned}$$

$$\begin{aligned}\mathbf{1438} &:= (1-F(4)!!)\times (3!-8)\\ &:= (8-3!)\times (F(4)!!-1)\end{aligned}$$

$$\begin{aligned}\mathbf{1439} &:= -1+F(F(4))\times (-3+9)!\\ &:= (9-3)!\times F(F(4))-1\end{aligned}$$

$$\begin{aligned}\mathbf{1452} &:= (1+F(4)!!+5)\times 2\\ &:= 2\times (5+F(4)!!+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1456} &:= F(1+F(4)!)\times (5!-F(6))\\ &:= (-F(6)+5!)\times F(F(4)!+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1457} &:= 1+(-F(F(4)!)+5!)\times F(7)\\ &:= F(7)\times (5!-F(F(4)!))+1\end{aligned}$$

$$\begin{aligned}\mathbf{1462} &:= 1+F(F(F(4)!))+6!\times 2\\ &:= 2\times 6!+F(F(F(4)!))+1\end{aligned}$$

$$\begin{aligned}\mathbf{1463} &:= -1+4!+6!\times F(3)\\ &:= F(3)\times 6!+4!-1\end{aligned}$$

$$\begin{aligned}\mathbf{1464} &:= (-1+F(4))\times 6!+4!\\ &:= 4!+6!\times F(4-1)\end{aligned}$$

$$\begin{aligned}\mathbf{1467} &:= 1+F(F(4))\times (6!+F(7))\\ &:= (F(7)+6!)\times F(F(4))+1\end{aligned}$$

$$\begin{aligned}\mathbf{1476} &:= (F(1+F(4)!)+F(F(7)))\times 6\\ &:= -6!+F(7)^{F(4)}-1\end{aligned}$$

$$\begin{aligned}\mathbf{1482} &:= (1\times F(4)!!+F(8))\times 2\\ &:= 2\times (F(8)+(4-1)!!)\end{aligned}$$

$$\begin{aligned}\mathbf{1483} &:= 1+F(F(4))\times (F(8)+3!!)\\ &:= (3!!+F(8))\times F(F(4))+1\end{aligned}$$

$$\begin{aligned}\mathbf{1484} &:= (1+F(4)!!+F(8))\times F(F(4))\\ &:= F(F(4))\times (F(8)+F(4)!!+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1547} &:= (-1+5\times 4!)\times F(7)\\ &:= F(7)\times (4!\times 5-1)\end{aligned}$$

$$\begin{aligned}\mathbf{1557} &:= -F(-1+5)+5!\times F(7)\\ &:= F(7)\times 5!-F(5-1)\end{aligned}$$

$$\begin{aligned}\mathbf{1561} &:= 1+5!\times F(6+1)\\ &:= F(1+6)\times 5!+1\end{aligned}$$

$$\begin{aligned}\mathbf{1572} &:= (1+5!)\times F(7)-F(2)\\ &:= -F(2)+F(7)\times (5!+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1574} &:= (1+5!)\times F(7)+F(F(F(4)))\\ &:= F(F(F(4)))+F(7)\times (5!+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1637} &:= -1+F(F(6))\times 3!\times F(7)\\ &:= F(7)\times 3!\times F(F(6))-1\end{aligned}$$

$$\begin{aligned}\mathbf{1638} &:= F(1+6)\times 3!\times F(8)\\ &:= F(8)\times 3!\times F(6+1)\end{aligned}$$

$$\begin{aligned}\mathbf{1674} &:= -1\times 6+7!/F(4)\\ &:= F(4)!!+F(F(7))+6!+1\end{aligned}$$

$$\begin{aligned}\mathbf{1724} &:= -1-7!+F(-F(2)+F(F(F(4)!)))\\ &:= F(F(F(F(4)!))-F(2))-7!-1\end{aligned}$$

$$\begin{aligned}\mathbf{1726} &:= 1-7!+F(-F(2)+F(F(6)))\\ &:= F(F(F(6))-F(2))-7!+1\end{aligned}$$

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$$\mathbf{1745} := 1 + F(F(7)) \times F(F(4)!) - 5!$$
$$:= -5! + F(F(4)!) \times F(F(7)) + 1$$

$$\mathbf{1793} := 1 + (F(F(7)) - 9) \times F(3!)$$
$$:= F(3!) \times (-9 + F(F(7))) + 1$$

$$\mathbf{1833} := (1 + F(F(8) - 3!)) \times 3$$
$$:= (3! + (F(3!))!)/(F(8) + 1)$$

$$\mathbf{1843} := F(18) - F(4)!! - F(F(3!))$$
$$:= -F(F(3!)) + F(F(4)!) \times F(F(8-1))$$

$$\mathbf{1873} := 1 + 8 \times F(F(7)) + F(3!)$$
$$:= F(3!) \times F(F(7)) + 8 + 1$$

$$\mathbf{1886} := -F(1+8) + 8!/F(F(6))$$
$$:= F(6)!/F(8) - F(8+1)$$

$$\mathbf{1943} := (-(1) + (9 \times (F(4)!^3)))$$
$$:= 3!^{F(4)} \times 9 - 1$$

$$\mathbf{1944} := (((1 \times 9)^{F(F(4))}) \times 4!)$$
$$:= F(4)!^{F(4)} \times 9 \times 1$$

$$\mathbf{2016} := (F((2 + 0!)!))!/(-1 + F(F(6)))$$
$$:= F(6)!/(10 \times 2)$$

$$\mathbf{2136} := (2+1) \times (3!! - F(6))$$
$$:= (6! - F(3!)) \times (1+2)$$

$$\mathbf{2145} := (2+1) \times (F(4)!! - 5)$$
$$:= (-5 + F(4)!!) \times (1+2)$$

$$\mathbf{2147} := (2+1)!! \times F(4) - F(7)$$
$$:= -F(7) + F(4) \times (1+2)!!$$

$$\mathbf{2154} := (-2 + (1+5)!) \times F(4)$$
$$:= F(4) \times ((5+1)! - 2)$$

$$\mathbf{2184} := ((2+1)!! + 8) \times F(4)$$
$$:= F(4) \times (8 + (1+2)!!)$$

$$\mathbf{2274} := (2 + F(2 \times 7)) \times F(4)!$$
$$:= F(4)! \times (F(7 \times 2) + 2)$$

$$\mathbf{2304} := (2 \times (3 + 0!)!)^{F(F(4))}$$
$$:= (4! \times F(03))^2$$

$$\mathbf{2312} := 2 \times (F(F(3!) + 1))^2$$
$$:= 2 \times F(1 + F(3!))^2$$

$$\mathbf{2353} := F(2) + F(F(3!)) \times (5! - F(3!))$$
$$:= F(F(3!)) \times (5! - F(3!)) + F(2)$$

$$\mathbf{2354} := 2 - F(F(3!)) \times (-5! + F(F(4)!))$$
$$:= (-F(F(4)!) + 5!) \times F(F(3!)) + 2$$

$$\mathbf{2372} := 2 \times (3!! + F(F(7)) \times 2)$$
$$:= (2 \times F(F(7)) + 3!!) \times 2$$

$$\mathbf{2373} := ((2+3)! - 7) \times F(F(3!))$$
$$:= F(F(3!)) \times (-7 + (3+2)!)$$

$$\mathbf{2375} := 2 + F(F(3!)) \times (-7 + 5!)$$
$$:= (5! - 7) \times F(F(3!)) + 2.$$

$$\mathbf{2376} := (2^{3!} + F(F(7))) \times F(6)$$
$$:= F(6) \times (F(F(7)) + F(3!)^2)$$

$$\mathbf{2435} := (-F(F(F(2) + F(4)!)) + 3!!) \times 5$$
$$:= -5 \times (-3!! + F(F(F(4)! + F(2))))$$

$$\mathbf{2438} := -2 + 4 \times F(-3! + F(8))$$
$$:= F(F(8) - 3!) \times 4 - 2$$

$$\mathbf{2439} := -F(2) + 4 \times F(3! + 9)$$
$$:= F(9 + 3!) \times 4 - F(2)$$

$$\mathbf{2444} := (F(2) + F((F(F(F(4)!)) - F(4)!))) \times 4$$

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$:= 4 \times (F(F(F(F(4)!)) - F(4)!) + F(2))$

2448 $:= F(2 \times F(4)!) \times (-4 + F(8))$
$:= (F(8) - 4) \times F(4!/2)$

2449 $:= (F(2) + ((4! \times F(4)) \times F(9)))$
$:= F(9) \times 4! \times F(4) + F(2)$

2456 $:= -F(2) + (-F(4) + 5!) \times F(F(6))$
$:= F(F(6)) \times (5! - F(4)) - F(2)$

2458 $:= F(2) - (F(4) - 5!) \times F(8)$
$:= F(8) \times (5! - F(4)) + F(2)$

2464 $:= -(F(2) + 4)! + F(-6 + 4!)$
$:= F(4! - 6) - (F(4) + 2)!$

2465 $:= F(2) + F(4! - 6) - 5!$
$:= -5! + F(-6 + 4!) + F(2)$

2474 $:= 2 \times F(4! - 7) - F(4)!!$
$:= -F(4)!! + F(-7 + 4!) \times 2$

2478 $:= (-2 + (-F(F(4)) + 7)!) \times F(8)$
$:= (-F(8) + 7!/4) \times 2$

2518 $:= -2 + 5! \times 1 \times F(8)$
$:= F(8) \times 1 \times 5! - 2$

2519 $:= -F(2) + 5! \times F(-1 + 9)$
$:= F(9 - 1) \times 5! - F(2)$

2533 $:= (F(2) + 5!) \times F(F(3!)) - F(3!)$
$:= -F(3!) + F(F(3!)) \times (5! + F(2))$

2541 $:= (F(2) + 5!) \times F(F((4 - 1)!))$
$:= 1 \times F(F(F(4)!)) \times (5! + F(2))$

2542 $:= (F(2) + 5!) \times F(F(F(4)!)) + F(2)$
$:= F(2) + F(F(F(4)!)) \times (5! + F(2))$

2543 $:= F(F(3!)) \times (F(F(F(4))) + 5!) + 2$
$:= 2 + (5! + F(F(F(4)))) \times F(F(3!))$

2544 $:= (2 + 5)!/F(F(4)) + 4!$
$:= 4! + (F(F(4)) + 5)!/2$

2545 $:= 25 + F(F(F(4)!)) \times 5!$
$:= 5! \times F(F(F(4)!)) + 5^2$

2561 $:= (2 + 5!) \times F(F(6)) - 1$
$:= -1 + F(F(6)) \times (5! + 2)$

2562 $:= (2 + 5!) \times F(6 + 2)$
$:= F(2 + 6) \times (5! + 2)$

2564 $:= (2 + 5!) \times F(F(6)) + F(F(4))$
$:= F(F(4)) + F(F(6)) \times (5! + 2)$

2574 $:= -2 + F(5 + F(7)) - F(F(4)!)$
$:= F(4!)/(F(7) + 5) - 2$

2634 $:= 2 \times (F(F(6)) + 3!^4)$
$:= F(4)! \times (-F(3) + F(F(6))^2)$

2637 $:= -2 + F(F(6) + 3!) \times 7$
$:= 7 \times F(3! + F(6)) - 2$

2638 $:= -2 + 6! + (F(3!))!/F(8)$
$:= -8 + 3! \times F(F(6))^2$

2644 $:= -2 + (F(F(6)))^{F(F(4))} \times F(4)!$
$:= -F(F(4)) + F(4)! \times F(F(6))^2$

2646 $:= F(2 + 6) \times F(4)! \times F(F(6))$
$:= F(-6 + 4!) + 62$

2647 $:= F(2) \times 6! \times 4 - F(F(7))$
$:= (-F(F(7)) + 4 \times 6!) \times F(2)$

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$$\mathbf{2686} := -2 + F(6)!/(F(8) - 6)$$
$$:= F(6)!/(F(8) - 6) - 2$$

$$\mathbf{2733} := -2^{F(7)} + F(F(F(3!))) - F(F(3!))$$
$$:= (F(F(F(3!)))/F(3) - 7)/2$$

$$\mathbf{2747} := -2^{F(7)} + F(F(F(F(4)!))) - 7$$
$$:= F(F(7)) - F(4)! + 7!/2$$

$$\mathbf{2753} := F(F(2) \times F(7)) + 5! \times F(F(3!))$$
$$:= F(F(F(3) + 5)) + 7!/2$$

$$\mathbf{2844} := (-F(2) - 8 + F(4)!!) \times 4$$
$$:= 4 \times (F(4)!! - 8 - F(2))$$

$$\mathbf{2846} := -F(F(2) + 8) + 4 \times 6!$$
$$:= 6! \times 4 - F(8 + F(2))$$

$$\mathbf{2856} := (2^8 - 5!) \times F(F(6))$$
$$:= F(F(6)) \times (5! + 8 \times 2)$$

$$\mathbf{2878} := -2 + 8!/(-7 + F(8))$$
$$:= 8!/(-7 + F(8)) - 2$$

$$\mathbf{2944} := F(2 \times 9) + F(4)!!/F(F(4))$$
$$:= F(F(4)!) \times 4 \times 92$$

$$\mathbf{2964} := (F(-F(2) + 9) + 6!) \times 4$$
$$:= 4 \times (6! + F(9 - F(2)))$$

$$\mathbf{3016} := F(3!) \times F(0! + F(1 + 6))$$
$$:= F(F(6 + 1) + 0!) \times F(3!)$$

$$\mathbf{3024} := F(F(3!)) \times F((0! + 2) \times 4)$$
$$:= (F(4)^2)!/(-0! + 3!)!$$

$$\mathbf{3029} := F(3! + 0!) \times F(F(-2 + 9))$$
$$:= F(F(9 - 2)) \times F(0! + 3!)$$

$$\mathbf{3037} := F(3!) + F(0! + 3!) \times F(F(7))$$
$$:= F(F(7)) \times F(3! + 0!) + F(3!)$$

$$\mathbf{3045} := F(F(3!)) \times (0! + 4! + 5!)$$
$$:= (5! + 4! + 0!) \times F(F(3!))$$

$$\mathbf{3159} := (3! - 1)^5 + F(9)$$
$$:= F(9) + 5^{-1+3!}$$

$$\mathbf{3165} := F(F(F(3!)) - 1) - 6! \times 5$$
$$:= -5 \times 6! + F(-1 + F(F(3!)))$$

$$\mathbf{3176} := (3! + 1)! - F(F(7)) \times F(6)$$
$$:= -F(6) \times F(F(7)) + (1 + 3!)!$$

$$\mathbf{3249} := (3!! + 2)/F(F(4)) \times 9$$
$$:= (F(9) + 4! - F(2))^{F(3)}$$

$$\mathbf{3264} := (F(3! \times 2) - F(6)) \times 4!$$
$$:= 4! \times (-F(6) + F(2 \times 3!))$$

$$\mathbf{3276} := 3! \times 2 \times F(7) \times F(F(6))$$
$$:= F(F(6)) \times F(7) \times 2 \times 3!$$

$$\mathbf{3296} := 3!! + F(2 \times 9) - F(6)$$
$$:= -F(6) + F(9 \times 2) + 3!!$$

$$\mathbf{3297} := 3!! + F(2 \times 9) - 7$$
$$:= -7 + F(9 \times 2) + 3!!$$

$$\mathbf{3303} := F(3 \times 3!) - 0! + 3!!$$
$$:= 3!! - 0! + F(3 \times 3!)$$

$$\mathbf{3304} := 3!! + F(3! \times F(04))$$
$$:= F(4! - 03!) + 3!!$$

$$\mathbf{3325} := (3!! - F(F(3!) + 2)) \times 5$$
$$:= 5 \times (-F(2 + F(3!)) + 3!!)$$

$$\mathbf{3328} := F(F(F(3)) + 3!) \times 2^8$$
$$:= (-3! + F(3! + F(3!))) \times 9$$

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$$\begin{aligned}\mathbf{3344} &:= F(3)\times((F(3!))!/4! - F(F(4)!))\\ &:= (F(F(4)!)!/4! - F(3!))\times F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{3347} &:= -F(7) + F(F(4)!)!/(F(3)\times 3!)\\ &:= (F(3!))!/(3\times 4) - F(7)\end{aligned}$$

$$\begin{aligned}\mathbf{3357} &:= -F(F(7)) + 5\times(-F(3) + 3!!)\\ &:= (3!! - F(3))\times 5 - F(F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{3359} &:= -F(F(3)) - 3!! + 5!\times F(9)\\ &:= F(9)\times 5! - 3!! - F(F(3))\end{aligned}$$

$$\begin{aligned}\mathbf{3376} &:= F(3!)^{-3+7} - 6!\\ &:= (F(6) + 7!/3)\times F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{3383} &:= F(3!) + (F(8) - 3!)^3\\ &:= F(3!) - (3! - F(8))^3\end{aligned}$$

$$\begin{aligned}\mathbf{3384} &:= F(3!) - 3!! + 8^4\\ &:= 4! + 8!/(F(3)\times 3!)\end{aligned}$$

$$\begin{aligned}\mathbf{3386} &:= -3!!/F(3)\times F(8) + F(F(F(6)))\\ &:= F(F(F(6))) - F(8)\times 3!!/F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{3392} &:= F(3! + F(3!))\times 9 - F(2)\\ &:= -F(2) + 9\times F(3! + F(3!))\end{aligned}$$

$$\begin{aligned}\mathbf{3393} &:= F(3! + F(3!))\times 9\times F(F(3))\\ &:= F(F(3))\times 9\times F(3! + F(3!))\end{aligned}$$

$$\begin{aligned}\mathbf{3394} &:= F(3! + F(3!))\times 9 + F(F(F(4)))\\ &:= F(F(F(4))) + 9\times F(3! + F(3!))\end{aligned}$$

$$\begin{aligned}\mathbf{3396} &:= 3!\times(3!! - F(9)) - 6!\\ &:= F(F(6)) + (9 + 3!)^3\end{aligned}$$

$$\begin{aligned}\mathbf{3427} &:= F(F(F(3!)) - 4)\times 2 + F(F(7))\\ &:= F(F(7)) + 2\times F(-4 + F(F(3!)))\end{aligned}$$

$$\begin{aligned}\mathbf{3437} &:= F(F(7) + 3!) - 4! - 3!!\\ &:= -3!! - 4! + F(3! + F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{3444} &:= (-F(3) + 4!\times 4!)\times F(4)!\\ &:= F(4)!\times(4!\times 4! - F(3))\end{aligned}$$

$$\begin{aligned}\mathbf{3447} &:= -F(F(F(3!)) - 4) + 4 + 7!\\ &:= 7! + 4 - F(-4 + F(F(3!)))\end{aligned}$$

$$\begin{aligned}\mathbf{3448} &:= F(3\times 4)\times 4! - 8\\ &:= -8 + 4!\times F(4\times 3)\end{aligned}$$

$$\begin{aligned}\mathbf{3451} &:= (-1 + 5!)\times(F(F(4)!) + F(F(3!)))\\ &:= (F(F(3!)) + F(F(4)!))\times(5! - 1)\end{aligned}$$

$$\begin{aligned}\mathbf{3452} &:= -F(F(F(3!))) - F(F(4)) + 5!^2\\ &:= -2 + 5!^{F(F(4))} - F(F(F(3!)))\end{aligned}$$

$$\begin{aligned}\mathbf{3454} &:= -F(3) + (4! + 5!)\times 4!\\ &:= (4! + 5!)\times 4! - F(3)\end{aligned}$$

$$\begin{aligned}\mathbf{3456} &:= 3\times(4! + 5!)\times F(6)\\ &:= 6!\times 5 - F(4\times 3)\end{aligned}$$

$$\begin{aligned}\mathbf{3457} &:= F(F(3)) + 4!\times F(5 + 7)\\ &:= F(7 + 5)\times 4! + F(F(3))\end{aligned}$$

$$\begin{aligned}\mathbf{3461} &:= -3!! + F(4! - 6 + 1)\\ &:= F(16 + F(4)) - 3!!\end{aligned}$$

$$\begin{aligned}\mathbf{3462} &:= 3! + 4!\times F(6\times 2)\\ &:= F(2\times 6)\times 4! + 3!\end{aligned}$$

$$\begin{aligned}\mathbf{3463} &:= -3!! + F(F(4)) + F(F(F(6)) - F(3))\\ &:= F(-F(3) + F(F(6))) + F(F(4)) - 3!!\end{aligned}$$

$$\begin{aligned}\mathbf{3464} &:= F(3!) + 4!\times 6\times 4!\\ &:= F(4!) - F(6)! - F(4! - 3!)\end{aligned}$$

$$\mathbf{3466} := F(3) + 4\times F(F(F(6))) - F(6)!$$

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$:= -F(6)! + F(F(F(6))) \times 4 + F(3)$

3467 $:= -3!! + F(4)! + F(6 + F(7))$
$:= F(F(7) + 6) + F(4)! - 3!!$

3474 $:= -3!! + F(4) \times F(F(7)) \times F(4)!$
$:= F(4) \times F(F(7)) \times F(4)! - 3!!$

3482 $:= F(F(3!)) - F(4)!! + F(F(8) - 2)$
$:= F(-2 + F(8)) - F(4)!! + F(F(3!))$

3483 $:= 3 \times (F(4)!! + F(8)^{F(3)})$
$:= 3 \times (F(8)^{F(F(4))} + 3!!)$

3485 $:= (3!! - F(F(4)) - F(8)) \times 5$
$:= 5 \times (-F(8) - F(F(4)) + 3!!)$

3486 $:= F(3!)^4 - F(F(8) - 6)$
$:= -F(-6 + F(8)) + 4^{3!}$

3487 $:= -F(3!) + (-F(4)! + F(8)) \times F(F(7))$
$:= F(F(7)) \times (F(8) - F(4)!) - F(3!)$

3497 $:= F(3) + (4! - 9) \times F(F(7))$
$:= F(F(7)) \times (-9 + 4!) + F(3)$

3498 $:= F(F(F(3!))) \times 4 + F(9) - 8!$
$:= -8! + F(9) + 4 \times F(F(F(3!)))$

3511 $:= 3!! \times 5 - F(11)$
$:= -F(11) + 5 \times 3!!$

3525 $:= (F(F(3!)) + 5!) \times 25$
$:= 5^2 \times (5! + F(F(3!)))$

3534 $:= (F(3 \times 5) - F(F(3!))) \times F(4)!$
$:= F(4)! \times (F(3 \times 5) - F(F(3!)))$

3535 $:= (3!! - F(5 + F(3))) \times 5$
$:= 5 \times (-F(F(3) + 5) + 3!!)$

3536 $:= 3!! \times 5 - F(3)^6$
$:= -F(6)^{F(3)} + 5 \times 3!!$

3537 $:= F(3) + 5 \times (3!! - F(7))$
$:= (-F(7) + 3!!) \times 5 + F(3)$

3538 $:= (F(3) + 5!) \times (F(3!) + F(8))$
$:= (F(8) + F(3!)) \times (5! + F(3))$

3544 $:= F(3!) \times 5! + F(F(4) \times F(4)!)$
$:= F(F(4) \times F(4)!) + 5! \times F(3!)$

3545 $:= (3!! + 5 - F(4)!) \times 5$
$:= 5 \times (-F(4)! - 5 + 3!!)$

3549 $:= F(F(3!)) \times (5! + 49)$
$:= (-9 + F(4)!!) \times 5 - 3!$

3554 $:= -F(F(3!)) + 5 \times (-5 + F(4)!!)$
$:= (F(4)!! - 5) \times 5 - F(F(3!))$

3563 $:= 3 - 5 \times (-6! + F(3!))$
$:= (3!! - F(6)) \times 5 + 3$

3564 $:= F(4)! \times (6! - 5! - 3!)$
$:= (-3! - 5! + 6!) \times F(4)!$

3565 $:= (-F(3) - 5 + 6!) \times 5$
$:= 5 \times (6! - 5 - F(3))$

3566 $:= 3! + 5 \times (6! - F(6))$
$:= (-F(6) + 6!) \times 5 + 3!$

3567 $:= F(3) + 5 \times (6! - 7)$
$:= (-7 + 6!) \times 5 + F(3)$

3568 $:= F(3!) + 5 \times (6! - 8)$
$:= (F(8) \times F(F(6)) + 5) \times F(3!)$

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3569 $:= 3+5\times 6!-F(9)$
$:= -F(9)+6!\times 5+3$

3573 $:= F(3!)+5\times(-7+3!!)$
$:= (3!!-7)\times 5+F(3!)$

3574 $:= 3!!\times 5-F(7)\times F(F(4))$
$:= -F(F(4))\times F(7)+5\times 3!!$

3579 $:= 3!!\times 5+F(7)-F(9)$
$:= -F(9)+F(7)+5\times 3!!$

3592 $:= 3!!\times 5-9+F(2)$
$:= F(2)-9+5\times 3!!$

3593 $:= 3!!\times 5-9+F(3)$
$:= F(3)-9+5\times 3!!$

3594 $:= -3!+5!\times(F(9)-4)$
$:= (-4+F(9))\times 5!-3!$

3595 $:= (3!!-F(F(F(-5+9))))\times 5$
$:= 5\times(-F(F(F(9-5)))+3!!)$

3597 $:= 3!!\times 5-F(-9+F(7))$
$:= -F(F(7)-9)+5\times 3!!$

3598 $:= -F(3)+5!\times(9+F(8))$
$:= (F(8)+9)\times 5!-F(3)$

3605 $:= (F(3)+6!-0!)\times 5$
$:= 5\times(-0!+6!+F(3))$

3624 $:= 3!!\times(6-F(2))+4!$
$:= 4!+(-F(2)+6)\times 3!!$

3627 $:= (3!!-(F(F(6)))^2)\times F(7)$
$:= F(7)^3+6!\times F(3)$

3638 $:= (-F(3!)+F(F(F(6))))/3-8$
$:= -8+(-F(3!)+F(F(F(6))))/3$

3643 $:= (-F(3!)+F(F(F(6))))/F(4)-3$
$:= (-F(F(3!))+4+F(F(F(6))))/3$

3644 $:= (-F(3!)+F(F(F(6))))/F(4)-F(F(4))$
$:= (-F(4)!-F(F(4)!)+F(F(F(6))))/3$

3646 $:= (-F(3!)+F(F(F(6))))/(4!/F(6))$
$:= (F(F(F(6)))-F(F(4)!))/(6-3)$

3656 $:= (F(3!))!/6!+5\times 6!$
$:= 6!\times 5+F(6)!/3!!$

3672 $:= 3!\times(F(F(6)+7)+2)$
$:= (2+F(7+F(6)))\times 3!$

3673 $:= 3!!+(F(F(F(6)))-7!)/F(3)$
$:= 3!!+(-7!+F(F(F(6))))/F(3)$

3674 $:= F(F(3!))+(F(F(F(6)))+F(7))/F(4)$
$:= F(F(F(4)!))+(F(7)+F(F(F(6))))/3$

3675 $:= (F(3)+6!+F(7))\times 5$
$:= 5\times(F(7)+6!+F(3))$

3684 $:= 3!!+(6!+F(8))\times 4$
$:= (4+F(F(8)-6))\times 3!$

3696 $:= (3!+F(6+9))\times 6$
$:= (6+F(9+6))\times 3!$

3699 $:= (F(3!+F(6))+F(9))\times 9$
$:= 9\times(F(9)+F(F(6)+3!))$

3705 $:= (3!!+F(7+0!))\times 5$
$:= 5\times(F(0!+7)+3!!)$

3712 $:= F(3!)\times(F(F(7))-1)\times 2$
$:= 2\times(-1+F(F(7)))\times F(3!)$

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$$\mathbf{3724} := (F(3!) \times F(F(7)) - 2) \times F(F(4))$$
$$:= -4 + 2 \times F(F(7)) \times F(3!)$$

$$\mathbf{3732} := (F(3!) \times F(F(7)) + F(3)) \times 2$$
$$:= 2 \times (F(3!) \times F(F(7)) + F(3))$$

$$\mathbf{3733} := F(F(3!)) \times F(F(7)) \times 3 - F(F(F(3!)))$$
$$:= F(F(3!)) \times 3 \times F(F(7)) - F(F(F(3!)))$$

$$\mathbf{3734} := (F(3!) \times F(F(7)) + 3) \times F(F(4))$$
$$:= 4^{F(3)} \times F(F(7)) + 3!$$

$$\mathbf{3738} := 3! \times 7 \times F(3 + 8)$$
$$:= F(8 + 3) \times 7 \times 3!$$

$$\mathbf{3743} := F(F(F(3!))) - 7^4 \times 3$$
$$:= -3!^4 + 7! - F(F(3))$$

$$\mathbf{3744} := 3 \times F(7) \times 4 \times 4!$$
$$:= (4! + 4!) \times F(7) \times 3!$$

$$\mathbf{3746} := -3!! \times (7 + F(4)) + F(F(F(6)))$$
$$:= -6^4 + 7! + F(3)$$

$$\mathbf{3749} := 3!! + F(7) \times F(4 + 9)$$
$$:= F(9 + 4) \times F(7) + 3!!$$

$$\mathbf{3767} := 3! \times 7!/F(6) - F(7)$$
$$:= -F(7) + 6 \times 7!/F(3!)$$

$$\mathbf{3776} := (3! + F(F(7)) + F(F(7))) \times F(6)$$
$$:= (6 + F(F(7)) + F(F(7))) \times F(3!)$$

$$\mathbf{3827} := (F(3!))!/F(8) \times 2 - F(7)$$
$$:= -F(7) + 2 \times 8!/F(F(3!))$$

$$\mathbf{3832} := -F(3!) + 8!/F(F(3!)) \times 2$$
$$:= 2 \times F(3!)!/F(8) - F(3!)$$

$$\mathbf{3834} := ((F(3!))!/F(8) - 3) \times F(F(4))$$
$$:= F(F(4)) \times F(3!)!/F(8) - 3!$$

$$\mathbf{3835} := (F(3!))!/F(8) \times F(3) - 5$$
$$:= -5 + F(3!)!/F(8) \times F(3)$$

$$\mathbf{3838} := -F(3) + 8! \times F(3)/F(8)$$
$$:= 8! \times F(3)/F(8) - F(3)$$

$$\mathbf{3857} := (F(3!) + F(8)) \times (5! + F(7))$$
$$:= (F(7) + 5!) \times (F(8) + F(3!))$$

$$\mathbf{3875} := (F(3!))!/8 - F(F(7)) \times 5$$
$$:= -5 \times F(F(7)) + (F(8)/3)!$$

$$\mathbf{3882} := (F(F(3!)) + 8!/F(8)) \times 2$$
$$:= 2 \times 8!/F(8) + F(F(3!))$$

$$\mathbf{3896} := -F(-3 + F(8)) + 9 \times 6!$$
$$:= 6! \times 9 - F(F(8) - 3)$$

$$\mathbf{3945} := F(F(3)) + F(9) \times (-4 + 5!)$$
$$:= (5! - 4) \times F(9) + F(F(3))$$

$$\mathbf{3954} := 3! \times (F(9) + 5^4)$$
$$:= -F(4)! + 5! \times (F(9) - F(F(3)))$$

$$\mathbf{3955} := (-F(F(3)) + F(9)) \times 5! - 5$$
$$:= -5 + 5! \times (F(9) - F(F(3)))$$

$$\mathbf{3963} := -3! + 9 \times (F(F(6)))^{F(3)}$$
$$:= F(F(3!)) \times F(F(6)) \times 9 - 3!$$

$$\mathbf{3967} := 3! + (9 + F(6)) \times F(F(7))$$
$$:= F(F(7)) \times (F(6) + 9) + 3!$$

$$\mathbf{3976} := F(3!) \times (9! - 7!)/6!$$
$$:= F(6) \times (-7! + 9!)/3!!$$

$$\mathbf{4032} := F(F(4)!)!/(0! + 3^2)$$

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$:= 2 \times F(3!)!/(-0! + F(F(F(4)!)))$

4048 $:= 4!!/(F(04) \times F(8)!)$
$:= 8 \times (4! - 0!)!/(F(F(F(4)!)))!$

4053 $:= (F(4)! + 0!)! - F(-5 + F(F(3!)))$
$:= -F(F(F(3!)) - 5) + (0! + F(4)!)!$

4059 $:= -F(F(F(4)!)) \times 0! + 5! \times F(9)$
$:= F(9) \times 5! - F(F(F(04)!))$

4087 $:= -F(4)!! + (-0! + 8)! - F(F(7))$
$:= -F(F(7)) + (8 - 0!)! - F(4)!!$

4094 $:= -F(F(4)) + (0! - 9)^4$
$:= -F(F(4)) + (9 - 0!)^4$

4157 $:= -4! + F(1 + 5 + F(7))$
$:= F(F(7) + 5 + 1) - 4!$

4173 $:= F((4 - 1)! + F(7)) - F(3!)$
$:= -F(3!) + F(F(7) + F(1 \times 4)!)$

4174 $:= -F(4)! - 1 + F(F(7) + F(4)!)$
$:= F(F(4)! + F(7)) - 1 - F(4)!$

4175 $:= -F(4)! + F(1 + F(7) + 5)$
$:= F(5 + F(7) + 1) - F(4)!$

4179 $:= F(F((4 - 1)!)) \times (F(F(7)) - F(9))$
$:= (-F(9) + F(F(7))) \times F(F(F(1 \times 4)!))$

4194 $:= (F(4)!! - F(-1 + 9)) \times F(4)!$
$:= (F(4)!! - F(9 - 1)) \times F(4)!$

4202 $:= F(F(F(4)!)) + F(20 - F(2))$
$:= F(20 - F(2)) + F(F(F(4)!))$

4203 $:= F(F(F(F(4)!)) - 2) + 0! + F(F(3!))$
$:= F(F(3!)) + 0! + F(-2 + F(F(F(4)!)))$

4204 $:= F(F(F(F(4)!)) - 2) - 0! + 4!$
$:= 4! - 0! + F(-2 + F(F(F(4)!)))$

4205 $:= 4! + F(-2 + F(F(0! + 5)))$
$:= F(F(F(5 + 0!)) - 2) + 4!$

4223 $:= 42 + F(-2 + F(F(3!)))$
$:= F(F(F(3!)) - 2) + 2 \times F(F(F(4)!))$

4226 $:= -F(F(4)!)!/(F(2 + 2))! + F(F(F(6)))$
$:= F(F(F(6))) - F(F(2 + 2)!)!/F(4)!$

4232 $:= F(F(4)!) \times 23^2$
$:= 23^2 \times F(F(4)!)$

4236 $:= F(F(F(4)!) + 2) + F(-F(3) + F(F(6)))$
$:= (F(F(F(6)) - F(3)) + F(2 + F(F(4)!)))$

4237 $:= F(F(F(F(4)!)) - 2) + F(3!) \times 7$
$:= 7 \times F(3!) + F(-2 + F(F(F(4)!)))$

4239 $:= 4! + F(-2 + F(F(3!))) + F(9)$
$:= F(9) + F(F(F(3!)) - 2) + 4!$

4244 $:= F(F(F(F(4)!)) - 2) + F(4) \times F(F(F(4)!))$
$:= F(4) \times F(F(F(4)!)) + F(-2 + F(F(F(4)!)))$

4245 $:= (F(F(4)!))^2 + F(4! - 5)$
$:= F(-5 + 4!) + 2^{F(4)!}$

4247 $:= (F(F(4)!))!/(F(2) + F(F(4)!)) - F(F(7))$
$:= -F(F(7)) + F(F(4)!)!/(F(2) + F(F(4)!))$

4249 $:= F(F(F(F(4)!)) - 2) + F(F(4)) \times F(9)$
$:= F(9) \times F(F(4)) + F(-2 + F(F(F(4)!)))$

4266 $:= (-(F(4))^2 + 6!) \times 6$
$:= (6! - F(6) - F(2)) \times F(4)!$

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$$\begin{aligned}\mathbf{4272} &:= 4! \times 2 \times F(F(7)-2)\\ &:= F(-2+F(7)) \times 2 \times 4!\end{aligned}$$

$$\begin{aligned}\mathbf{4284} &:= F(F(4)^2) \times F(8) \times F(4)!\\ &:= F(4)! \times ((8-2)! - F(4)!)\end{aligned}$$

$$\begin{aligned}\mathbf{4293} &:= (F(4)!! \times 2 - 9) \times 3\\ &:= 3 \times (-9 + 2 \times F(4)!!)\end{aligned}$$

$$\begin{aligned}\mathbf{4302} &:= (-F(4) + 3!!) \times (0! + 2)!\\ &:= (-2 - 0! + 3!!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4306} &:= F(4)! \times (3!! - 0!) - F(6)\\ &:= -F(6) + (-0! + 3!!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4307} &:= F(4)! \times 3!! - F(07)\\ &:= -F(7) + 03!! \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4312} &:= F(4)! \times 3!! - (F(1+2))!\\ &:= -2 + (-1 + 3!!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4313} &:= F(4)! \times 3!! - 1 - 3!\\ &:= -3! - 1 + 3!! \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4314} &:= F(4)! \times 3!! - 1 \times F(4)!\\ &:= F(4)! \times 1 \times 3!! - F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4315} &:= F(4)! \times 3!! - 1 \times 5\\ &:= -5 + 1 \times 3!! \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4318} &:= F(4)! \times (3!! + 1) - 8\\ &:= (8-1)! - 3!! - F(F(4))\end{aligned}$$

$$\begin{aligned}\mathbf{4331} &:= (F(F(4)) + 3!!) \times 3! - 1\\ &:= (-1 + F(3) + 3!!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4332} &:= F(4)! \times (F(3) + (3 \times 2)!)\\ &:= (2 + 3!!) \times (3 + F(4))\end{aligned}$$

$$\begin{aligned}\mathbf{4333} &:= (F(F(4)) + 3!!) \times 3! + F(F(3))\\ &:= 3! \times 3!! + F(3+4)\end{aligned}$$

$$\begin{aligned}\mathbf{4335} &:= F(4)! \times 3!! + 3 \times 5\\ &:= (5 + 3!! + 3!!) \times F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{4336} &:= 4^{F(3)} + 3! \times 6!\\ &:= (6! + F(3)) \times 3! + 4\end{aligned}$$

$$\begin{aligned}\mathbf{4337} &:= 4^{3!} + F(3!) + F(F(7))\\ &:= F(7) + 3!! \times 3! + 4\end{aligned}$$

$$\begin{aligned}\mathbf{4338} &:= (F(4) + 3!!) \times (-F(3) + 8)\\ &:= (F(8/F(3)) + 3!!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4341} &:= F(4)! \times 3!! + F(F((4-1)!))\\ &:= (1 + F(4)!)! + F(F(3!)) - (F(4)!)!\end{aligned}$$

$$\begin{aligned}\mathbf{4342} &:= F(4)! \times 3!! + 4! - 2\\ &:= -2 + (4 + 3!!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4343} &:= 3!! \times F(4)! - F(F(3)) + 4!\\ &:= (4 + 3!!) \times F(4)! - F(F(3))\end{aligned}$$

$$\begin{aligned}\mathbf{4346} &:= F(F(4)) + 3! \times (4 + 6!)\\ &:= 6! \times F(4)! + F(3) + 4!\end{aligned}$$

$$\begin{aligned}\mathbf{4347} &:= F(4) \times 3!! + F(4)^7\\ &:= 7! + F(4) - 3!! + 4!\end{aligned}$$

$$\begin{aligned}\mathbf{4348} &:= (F(4)! + 3!!) \times F(4)! - 8\\ &:= -8 + (F(4)! + 3!!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4362} &:= F(4)! \times (3^6 - 2)\\ &:= (F(2) + 6! + 3!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4364} &:= -4 + (F(3!) + 6!) \times F(4)!\\ &:= -4 + (6! + F(3!)) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4366} &:= F(4)^{3!} \times 6 - F(6)\\ &:= (F(6) + 6!) \times 3! - F(F(4))\end{aligned}$$

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$$\begin{aligned}\mathbf{4367} &:= F(4)^{3!} \times 6 - 7 \\ &:= -7 + 6 \times 3^{F(4)!}\end{aligned}$$

$$\begin{aligned}\mathbf{4368} &:= (8 + 6!) \times F(3) \times F(4) \\ &:= (4! + F(3)) \times F(6) \times F(8)\end{aligned}$$

$$\begin{aligned}\mathbf{4373} &:= 4! \times F(3!) + F(F(7) + 3!) \\ &:= F(3! + F(7)) + F(3!) \times 4!\end{aligned}$$

$$\begin{aligned}\mathbf{4374} &:= F(4)^{3!} \times (7 - 4)! \\ &:= F(4)^7 \times 3!/F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{4376} &:= F(4)! \times 3!! + 7 \times F(6) \\ &:= F(6) \times 7 + 3!! \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4379} &:= -4 + (3!! - F(F(7))) \times 9 \\ &:= -9 \times (F(F(7)) - 3!!) - 4\end{aligned}$$

$$\begin{aligned}\mathbf{4383} &:= F(4)! \times 3!! + F(8) \times 3 \\ &:= (3!! + F(8) + 3!!) \times F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{4384} &:= F(4)! \times 3!! + 8^{F(F(4))} \\ &:= F(F(4)!) \times 8 + 3!! \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4385} &:= -F(4)^{F(3!)} + F(F(F((8 - 5)!))) \\ &:= F(F(F((-5 + 8)!))) - 3^{F(F(4)!)}\end{aligned}$$

$$\begin{aligned}\mathbf{4386} &:= F(4)! \times (3 + 8 + 6!) \\ &:= (6! + 8 + 3) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4398} &:= F(4)! \times (3!! + F(9) - F(8)) \\ &:= (-F(8) + F(9) + 3!!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4414} &:= (F(4!)/F(F(F(4)!)) - 1) \times F(F(4)) \\ &:= F(F(4)) \times (-1 + F(4!)/F(F(F(4)!)))\end{aligned}$$

$$\begin{aligned}\mathbf{4416} &:= 4! \times (4! - 1) \times F(6) \\ &:= F(6) \times (-1 + 4!) \times 4!\end{aligned}$$

$$\begin{aligned}\mathbf{4424} &:= F(4!)/F(F(F(4)!)) \times 2 + F(F(4)!) \\ &:= F(4!) \times 2/F(F(F(4)!)) + F(F(4)!)\end{aligned}$$

$$\begin{aligned}\mathbf{4432} &:= (F(F(4)!) + F(4!)/F(F(3!))) \times 2 \\ &:= 2 \times (F(3!) + F(4!)/F(F(F(4)!)))\end{aligned}$$

$$\begin{aligned}\mathbf{4434} &:= (F(4)!! - F(F(4)) + F(F(3!))) \times F(4)! \\ &:= (-F(F(4)) + F(F(3!)) + F(4)!!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4437} &:= 4^4 + F(3! + F(7)) \\ &:= F(F(7) + 3!) + 4^4\end{aligned}$$

$$\begin{aligned}\mathbf{4438} &:= F(4)! \times (F(4)!! + F(F(3!))) - 8 \\ &:= (F(8) + 3!!) \times F(4)! - F(F(4)!)\end{aligned}$$

$$\begin{aligned}\mathbf{4439} &:= F(F(F(F(4)!))) - (F(4) + 3!!) \times 9 \\ &:= -9 \times (3!! + F(4)) + F(F(F(F(4)!)))\end{aligned}$$

$$\begin{aligned}\mathbf{4443} &:= (4! + F(4)!!) \times F(4)! - F(F(3!)) \\ &:= (F(F(3!)) + F(4)!!) \times F(4)! - F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{4446} &:= F(4)! \times (F(4 + 4) + 6!) \\ &:= (6! + F(4 + 4)) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4447} &:= -F(F(F(F(4)!))) + F(F(F(4)!)) \times (F(4)!! + F(7)) \\ &:= (F(7) + F(4)!!) \times F(F(F(4)!)) - F(F(F(F(4)!)))\end{aligned}$$

$$\begin{aligned}\mathbf{4448} &:= F(F(4)) + F(4)! \times (F(4)!! + F(8)) \\ &:= (F(8) + F(4)!!) \times F(4)! + F(F(4))\end{aligned}$$

$$\begin{aligned}\mathbf{4462} &:= F(4)! \times (4! + 6!) - 2 \\ &:= -2 + (6! + 4!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4463} &:= F(4)! \times (4! + 6!) - F(F(3)) \\ &:= -F(F(3)) + (6! + 4!) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4466} &:= F(F(4)) + (4! + 6!) \times 6 \\ &:= 6 \times (6! + 4!) + F(F(4))\end{aligned}$$

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$$\begin{aligned}\mathbf{4467} &:= F(4)! \times F(4)!! + F(F(6)) \times 7\\ &:= -F(7) + F(6)!/(F(4) \times F(4))\end{aligned}$$

$$\begin{aligned}\mathbf{4469} &:= -F(4) - F(F(4)!) + F(6)!/9\\ &:= -9 \times 6! + F(F(F(F(4)!))) + F(4)\end{aligned}$$

$$\begin{aligned}\mathbf{4473} &:= 4^{F(4)!} + F(7 \times F(3))\\ &:= F(F(3) \times 7) + 4^{F(4)!}\end{aligned}$$

$$\begin{aligned}\mathbf{4474} &:= F(F(4)!)!/(-4 + F(7)) - F(4)!\\ &:= F(F(4)!)!/(F(7) - 4) - F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4476} &:= F(4)! \times (F(F(4)) \times F(7) + 6!)\\ &:= F(6)!/(F(7) - 4) - 4\end{aligned}$$

$$\begin{aligned}\mathbf{4477} &:= -4! \times 4! + F(7) + 7!\\ &:= 7! + F(7) - 4! \times 4!\end{aligned}$$

$$\begin{aligned}\mathbf{4493} &:= (-F(4)!! + F(4)) \times 9 + F(F(F(3!)))\\ &:= F(3!)!/9 + F(F(4) + 4)\end{aligned}$$

$$\begin{aligned}\mathbf{4494} &:= F(F(F(4)!)) \times (4! \times 9 - F(F(4)))\\ &:= F(F(F(4)!)) \times (9 \times 4! - F(F(4)))\end{aligned}$$

$$\begin{aligned}\mathbf{4496} &:= F(F(4)!) + (F(F(4)!))!/9 + F(6)\\ &:= F(6)!/9 + 4 \times 4\end{aligned}$$

$$\begin{aligned}\mathbf{4498} &:= -F(4) + (F(F(4)!))!/9 + F(8)\\ &:= 8!/9 - F(4)! + 4!\end{aligned}$$

$$\begin{aligned}\mathbf{4536} &:= F(4)! \times (5! + 3!) \times 6\\ &:= F(F(6)) \times (F(3) \times 5! - 4!)\end{aligned}$$

$$\begin{aligned}\mathbf{4567} &:= F(F(4)!) \times (-5! + 6!) - F(F(7))\\ &:= -F(F(7)) + (6! - 5!) \times F(F(4)!)\end{aligned}$$

$$\begin{aligned}\mathbf{4574} &:= (F(F(4)) + 5)! - F(F(7)) \times F(F(4))\\ &:= -F(F(4)) \times F(F(7)) + (5 + F(F(4)))!\end{aligned}$$

$$\begin{aligned}\mathbf{4596} &:= (-F(4)! + 5!) \times F(9) + 6!\\ &:= F(6)!/9 + 5! - 4\end{aligned}$$

$$\begin{aligned}\mathbf{4599} &:= F(F(F(4)!)) \times (5! + 99)\\ &:= (99 + 5!) \times F(F(F(4)!))\end{aligned}$$

$$\begin{aligned}\mathbf{4634} &:= (F(-4 + F(F(6))) + 3!!) \times F(F(4))\\ &:= F(F(4)) \times (3!! + F(F(F(6)) - 4))\end{aligned}$$

$$\begin{aligned}\mathbf{4644} &:= (F(4)!! + (F(F(6)))^{F(F(4))}) \times 4\\ &:= 4 \times (F(4)!! + F(F(6))^{F(F(4))})\end{aligned}$$

$$\begin{aligned}\mathbf{4656} &:= F(4)! \times (6! + 56)\\ &:= (6! + 56) \times F(4)!\end{aligned}$$

$$\begin{aligned}\mathbf{4663} &:= -F(F(4)! + F(6)) + F(6)!/F(3!)\\ &:= -F(3! + F(6)) + (F(F(6))/F(4))!\end{aligned}$$

$$\begin{aligned}\mathbf{4667} &:= 4 - F(F(6) + 6) + 7!\\ &:= 7! - F(F(6) + 6) + 4\end{aligned}$$

$$\begin{aligned}\mathbf{4674} &:= -F(4)! + 6! \times F(7)/F(F(4))\\ &:= -F(4)! + F(7) \times 6!/F(F(4))\end{aligned}$$

$$\begin{aligned}\mathbf{4687} &:= 4! - F(6 + 8) + 7!\\ &:= 7! - F(8 + 6) + 4!\end{aligned}$$

$$\begin{aligned}\mathbf{4688} &:= -4! + F(-6 + F(8)) \times 8\\ &:= 8 \times (F(F(8) - 6) - 4!)\end{aligned}$$

$$\begin{aligned}\mathbf{4689} &:= F(4)!! + F(F(6)) \times F(8) \times 9\\ &:= 9 \times F(8) \times F(F(6)) + F(4)!!\end{aligned}$$

$$\begin{aligned}\mathbf{4697} &:= -F(F(4)! + F(6)) + F(9) + 7!\\ &:= 7! + (F(9) - 6!)/F(F(4))\end{aligned}$$

$$\begin{aligned}\mathbf{4704} &:= 4! \times (F(7) + 0!)^{F(F(4))}\\ &:= 4! \times (0! + F(7))^{F(F(4))}\end{aligned}$$

$$\begin{aligned}\mathbf{4725} &:= F(F((5 - 2)!)) \times (F(F(7)) - F(F(4)!))\\ &:= (-F(F(4)!) + F(F(7))) \times F(F(F(2) + 5))\end{aligned}$$

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$$\mathbf{4727} := -4! \times F(7) - F(2) + 7!$$
$$:= 7! - F(2) - F(7) \times 4!$$

$$\mathbf{4728} := -4! \times F(7) + (-F(2) + 8)!$$
$$:= (8 - F(2))! - F(7) \times 4!$$

$$\mathbf{4733} := F(F(4)!) + (F(F(7)) - F(3!)) \times F(F(3!))$$
$$:= F(F(3!)) \times (-F(3!) + F(F(7))) + F(F(4)!)$$

$$\mathbf{4735} := (-F(4)! + F(F(7)) + 3!!) \times 5$$
$$:= 5 \times (3!! + F(F(7)) - F(4)!)$$

$$\mathbf{4743} := (-4! + F(F(7)) - F(4)!) \times F(F(3!))$$
$$:= F(F(3!)) \times (-F(4)! + F(F(7))) - 4!$$

$$\mathbf{4744} := (F(4)!!/F(F(4)) + F(F(7))) \times F(F(4)!)$$
$$:= (F(4)!! + F(F(7)) \times F(F(4))) \times 4$$

$$\mathbf{4745} := (F(4)!! + F(F(7)) - 4) \times 5$$
$$:= 5 \times (-4 + F(F(7)) + F(4)!!)$$

$$\mathbf{4749} := F(F(F(4)!)) \times F(F(7)) - F(F(4) + 9)$$
$$:= 9! - F(F(4)!)! - F(7 \times 4)$$

$$\mathbf{4753} := -F(4)!! + F(F(F(7) - 5))/F(3)$$
$$:= -3!! + F(F(-5 + F(7)))/F(F(4))$$

$$\mathbf{4763} := -4 + (F(F(7)) - 6) \times F(F(3!))$$
$$:= F(F(3!)) \times (-6 + F(F(7))) - 4$$

$$\mathbf{4764} := (-F(4)! + F(F(7))) \times F(F(6)) - F(4)$$
$$:= F(4)! \times (6! + 74)$$

$$\mathbf{4767} := (-F(4) \times F(7) + 6!) \times 7$$
$$:= 7 \times (6! - F(7) \times F(4))$$

$$\mathbf{4769} := F(F(F(4))) + 7! - F(6) \times F(9)$$
$$:= -F(9) \times F(6) + 7! + F(F(F(4)))$$

$$\mathbf{4773} := -F((F(4) + F(7))) + 7! + 3!!$$
$$:= 3!! + 7! - F(F(7) + F(4))$$

$$\mathbf{4776} := 4! \times F(7) \times F(7) + 6!$$
$$:= 6! + F(7) \times F(7) \times 4!$$

$$\mathbf{4778} := -F(F(4)!) - F(F(7)) + 7! - F(8)$$
$$:= -F(8) - F(F(7)) + 7! - F(F(4)!)$$

$$\mathbf{4779} := F(4)! - F(F(7)) + 7! - F(9)$$
$$:= -F(9) - F(F(7)) + 7! + F(4)!$$

$$\mathbf{4783} := -4! - F(F(7)) + (F(8)/3)!$$
$$:= F(3!)!/8 - F(F(7)) - 4!$$

$$\mathbf{4784} := F(4!) \times F(7)/(F(8) \times F(4)!)$$
$$:= F(4!)/F(8) \times F(7)/F(4)!$$

$$\mathbf{4786} := -F(F(F(4)!)) + 7! - F(F(8) - F(6))$$
$$:= F(6)!/8 - F(F(7)) - F(F(F(4)!))$$

$$\mathbf{4787} := F(F(F(4))) - F(F(7)) - F(8) + 7!$$
$$:= 7! - F(8) - F(F(7)) + F(F(F(4)))$$

$$\mathbf{4789} := F(F(F(4)!)) + 7! - 8 \times F(9)$$
$$:= -F(9) \times 8 + 7! + F(F(F(4)!))$$

$$\mathbf{4796} := -F(4)! + 7 \times (-F(9) + 6!)$$
$$:= (6! - F(9)) \times 7 - F(4)!$$

$$\mathbf{4797} := -F(4)^7/9 + 7!$$
$$:= 7! - F(9) - F(F(7)) + 4!$$

$$\mathbf{4807} := -F(4 + 8 + 0!) + 7!$$
$$:= 7! - F(0! + 8 + 4)$$

$$\mathbf{4827} := -4! + F(8) \times (-2 + F(F(7)))$$
$$:= (F(F(7)) - 2) \times F(8) - 4!$$

$$\mathbf{4837} := (F(4)!! - F(8) - F(3!)) \times 7$$

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$:= 7 \times (3!! - F(8) - F(F(4)!))$

4845 $:= -(F(F(4)!))!/F(8) + F(4 \times 5)$
$:= F(5 \times 4) - 8!/F(F(F(4)!))$

4848 $:= F(4)!! + (8! + F(4!))/F(8)$
$:= -8 \times 4! + (F(8)/F(4))!$

4856 $:= -4! + 8 \times F(5!/F(6))$
$:= F(6) \times F(5!/8) - 4!$

4857 $:= -F(4) \times F(8) - 5! + 7!$
$:= 7! - 5! - F(8) \times F(4)$

4859 $:= F(F(F(4)!)) \times F(8+5) - F(9)$
$:= -F(9) + F(5+8) \times F(F(F(4)!))$

4863 $:= -F(-F(4)! + F(8)) + F(F(F(6)))/F(3)$
$:= -F(-3! + F(F(6))) + F(F(8))/F(F(4))$

4867 $:= F(F(4)!) \times F(F(8) - 6) - F(7)$
$:= -F(7) + F(6) \times F(F(8) - F(4)!)$

4869 $:= -4! + F(8) \times F(-(F(F(6)) - F(9)))$
$:= F(F(9) - F(F(6))) \times F(8) - 4!$

4875 $:= -4! - F(8) + 7! - 5!$
$:= -5! + 7! - F(8) - 4!$

4877 $:= -4! + F(F(8) - 7) \times F(7)$
$:= F(7) \times F(-7 + F(8)) - 4!$

4878 $:= F(4)! + F(8) \times F(F(7)) - F(8)$
$:= F(8) \times F(F(7)) - F(8) + F(4)!$

4897 $:= F(F(F(4))) - F(F(8) - 9) + 7!$
$:= 7! - F(-9 + F(8)) + F(F(F(4)))$

4904 $:= -4 \times F(9) + (0! + F(4)!)!$
$:= (F(4)! + 0!)! - F(9) \times 4$

4914 $:= (F(4+9) + 1) \times F(F(F(4)!))$
$:= F(F(F(4)!)) \times (1 + F(9+4))$

4917 $:= 4! + F(9-1) \times F(F(7))$
$:= F(F(7)) \times F(-1+9) + 4!$

4927 $:= -4! - F(9+2) + 7!$
$:= 7! - F(2+9) - 4!$

4934 $:= F(F(F(4)!)) + (F(9)/F(3))^{F(4)}$
$:= F(F(F(4)!)) + (F(3!) + 9)^{F(4)}$

4937 $:= -F(4) \times F(9) - F(F(3)) + 7!$
$:= 7! - F(F(3)) - F(9) \times F(4)$

4938 $:= (-4! \times F(9) + (F(3!))!)/8$
$:= (F(8)/3)! - F(9) \times F(4)$

4944 $:= 4! \times (F(4)! \times F(9) + F(F(4)))$
$:= (F(4)! \times F(9) + F(F(4))) \times 4!$

4947 $:= (F(4) - F(9)) \times F(4) + 7!$
$:= 7! + (F(4) - F(9)) \times F(4)$

4957 $:= F(4) + F(9) - 5! + 7!$
$:= 7! - 5! + F(9) + F(4)$

4968 $:= -F(F(4)!) \times 9 + F(6)!/8$
$:= 8 \times (6! - 9) - F(4)!!$

4971 $:= -F(F(4)) \times F(9) + 7! - 1$
$:= -1 + 7! - F(9) \times F(F(4))$

4972 $:= F(F(4)) \times (-F(9) + 7!/2)$
$:= F(2) \times 7! - F(9) \times F(F(4))$

4973 $:= -F(F(4)) \times F(9) + 7! + F(F(3))$
$:= F(F(3)) + 7! - F(9) \times F(F(4))$

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$4974 := (4! \times F(9) + F(7)) \times F(4)!$
$:= F(4)! \times (F(7) + F(9) \times 4!)$

$4975 := F(-4! + F(9)) + 7! - 5!$
$:= -5! + 7! + F(F(9) - 4!)$

$4976 := -4! - F(9) + 7! - 6$
$:= -6 + 7! - F(9) - 4!$

$4977 := -F(4) \times (F(9) - F(7)) + 7!$
$:= 7! + (F(7) - F(9)) \times F(4)$

$4978 := -F(4)! \times 9 + 7! - 8$
$:= -8 + 7! - 9 \times F(4)!$

$4979 := -F(4) \times 9 + 7! - F(9)$
$:= -F(9) + 7! - 9 \times F(4)$

$4982 := -4! - F(9) + (8 - F(2))!$
$:= (-F(2) + 8)! - F(9) - 4!$

$4984 := F(F(F(4)) + 9) \times 8!/F(4)!!$
$:= (F(4)!! - 8) \times (9 - F(F(4)))$

$4986 := -F(4)! \times 9 + 8!/F(6)$
$:= F(6)!/8 - 9 \times F(4)!$

$4995 := (-F(F(4)) + 9)! - 9 \times 5$
$:= -5 \times 9 + (9 - F(F(4)))!$

$4997 := F(F(F(4))) \times (-9 - F(9) + 7!)$
$:= (7! - F(9) - 9) \times F(F(F(4)))$

$5027 := (5 + 02)! - F(7)$
$:= 7! - F(2 + 05)$

$5032 := -F(5 + 0!) + (3! + F(2))!$
$:= (F(2) + 3!)! - F(0! + 5)$

$5033 := -5 + (0! + 3!)! - F(3)$
$:= -F(3) + (3! + 0!)! - 5$

$5035 := -5 + (F(03) + 5)!$
$:= -5 + (F(3) - 0 + 5)!$

$5036 := -5 + 0! + (F(F(3)) + 6)!$
$:= F(6)!/F(3!) + 0! - 5$

$5038 := -F(F(5 - 0!)) + (F(3!))!/8$
$:= (F(8)/3)! - F(F(-0! + 5))$

$5039 := -(5 \times 0)! + (-F(3) + 9)!$
$:= (9 - F(3))! - (0 \times 5)!$

$5061 := F(F(5 + 0!)) + (6 + 1)!$
$:= (1 + 6)! + F(F(0! + 5))$

$5066 := F(F(6)) + (F(6) - 0!)! + 5$
$:= 5 + (0! + 6)! + F(F(6))$

$5067 := 7! + F(F(6)) + 0! + 5$
$:= 5 + 0! + F(F(6)) + 7!$

$5069 := -5 + (0! + 6)! + F(9)$
$:= F(9) + (F(6) - 0!)! - 5$

$5077 := 50 - F(7) + 7!$
$:= 7! + F(7) + (-0! + 5)!$

$5079 := 5 + 07! + F(9)$
$:= F(9) + 7! + 05$

$5082 := (5! + 0!) \times F(8) \times 2$
$:= 2 \times F(8) \times (0! + 5!)$

$5147 := 5! - F(1 + F(4)!) + 7!$
$:= 7! - F(F(4)! + 1) + 5!$

$5157 := -F(5 - 1) + 5! + 7!$
$:= 7! - F(5 - 1) + 5!$

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$$\begin{aligned}\mathbf{5186} &:= F(F(F(5+1))) - 8 \times 6! \\ &:= F(F(F(6))) - 8 \times (1+5)!\end{aligned}$$

$$\begin{aligned}\mathbf{5187} &:= ((5+1)! + F(8)) \times 7 \\ &:= 7 \times (F(8) + (1+5)!)\end{aligned}$$

$$\begin{aligned}\mathbf{5233} &:= -5! \times 2 + F(F(F(3!)))/F(3) \\ &:= F(F(F(3!)))/F(3) - 2 \times 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5267} &:= F(F(5+2)) - 6 + 7! \\ &:= F(F(7)) - 6 + (2+5)!\end{aligned}$$

$$\begin{aligned}\mathbf{5272} &:= F(F(5+2)) + 7! - F(2) \\ &:= -F(2) + F(F(7)) + (2+5)!\end{aligned}$$

$$\begin{aligned}\mathbf{5273} &:= (5+2)! + F(7+3!) \\ &:= F(3!+7) + (2+5)!\end{aligned}$$

$$\begin{aligned}\mathbf{5274} &:= 5! \times 2 + 7! - F(4)! \\ &:= -F(4)! + 7! + 2 \times 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5277} &:= 5 - F(2) + F(F(7)) + 7! \\ &:= F(F(7)) + 7! - F(2) + 5\end{aligned}$$

$$\begin{aligned}\mathbf{5334} &:= (F(F(5+F(3))) + F(F(3!))) \times F(F(F(4)!)) \\ &:= F(F(F(4)!)) \times (F(F(3!)) + F(F(F(3)+5)))\end{aligned}$$

$$\begin{aligned}\mathbf{5337} &:= (5! - F(F(3!))) \times 3 + 7! \\ &:= 7! - 3 \times F(F(3!)) - 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5353} &:= (5! + F(F(3+5)))/F(3) \\ &:= F(F(3+5))/F(3) - 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5367} &:= F(5!/3!) - 6 \times F(F(7)) \\ &:= -3 + 7! + F(3!)!/5!\end{aligned}$$

$$\begin{aligned}\mathbf{5394} &:= (-5! + 3!!) \times 9 - F(4)! \\ &:= -F(4)! + 9 \times (3!! - 5!)\end{aligned}$$

$$\begin{aligned}\mathbf{5409} &:= (-5! + F(4)!! + 0!) \times 9 \\ &:= 9 \times (0! + F(4)!! - 5!)\end{aligned}$$

$$\begin{aligned}\mathbf{5433} &:= -5!/F(4) + F(F(F(3!)))/F(3) \\ &:= F(F(F(3!)))/F(3) - F(F(4)!) \times 5\end{aligned}$$

$$\begin{aligned}\mathbf{5443} &:= (-5!/F(F(4)) + F(F(F(F(4)!))))/F(3) \\ &:= F(F(F(3!)))/F(F(4)) - F(4)! \times 5\end{aligned}$$

$$\begin{aligned}\mathbf{5444} &:= -5 + F(F(F(F(4)!)))/F(F(4)) - 4! \\ &:= F(F(F(F(4)!)))/F(F(4)) - 4! - 5\end{aligned}$$

$$\begin{aligned}\mathbf{5448} &:= 5! - F(4)!! + F(4!) - 8! \\ &:= -8! - F(4)!! + F(4!) + 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5464} &:= 5! \times 4! + F(-6+4!) \\ &:= F(4! - 6) + 4! \times 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5471} &:= -5! + 4! \times F(F(7)) - 1 \\ &:= -1 + F(F(7)) \times 4! + 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5472} &:= -5! + 4! \times F(F(7) \times F(2)) \\ &:= F(F(2) \times F(7)) \times 4! - 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5474} &:= -5! + 4! \times F(F(7)) + F(F(4)) \\ &:= 4! \times F(F(7)) + F(F(4)) - 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5484} &:= 5 + F(4)! + F(F(8))/F(F(4)) \\ &:= F(4)! + F(F(8))/F(F(4)) + 5\end{aligned}$$

$$\begin{aligned}\mathbf{5487} &:= (-5 + F(4)!!) \times 8 - F(F(7)) \\ &:= -F(F(7)) + 8 \times (F(4)!! - 5)\end{aligned}$$

$$\begin{aligned}\mathbf{5535} &:= (5! + F(-5 + F(F(3!)))) \times 5 \\ &:= (5! + F(F(F(3!)) - 5)) \times 5\end{aligned}$$

$$\begin{aligned}\mathbf{5544} &:= (5! + 5! + 4!) \times F(F(F(4)!)) \\ &:= F(F(F(4)!)) \times (4! + 5! + 5!)\end{aligned}$$

$$\mathbf{5589} := (5! \times 5 + F(8)) \times 9$$

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$:= 9 \times (F(8) + 5! \times 5)$

5592 $:= 5!/5 \times F(F(9-2))$
$:= F(F(-2+9)) \times 5!/5$

5593 $:= (5! + F(F(F((F(-5+9))!))))/F(3))$
$:= F(F(F(3!)))/F(F(9-5)) + 5!$

5597 $:= 5 + (-5+9)! \times F(F(7))$
$:= F(F(7)) \times (9-5)! + 5$

5624 $:= -5! + (6! - 2) \times F(F(4)!)$
$:= F(F(4)!) \times (-2 + 6!) - 5!$

5632 $:= -5! + F(6) \times (3!! - F(2))$
$:= (-F(2) + 3!!) \times F(6) - 5!$

5634 $:= -5! + (F(6) \times 3!! - F(4)!)$
$:= -F(4)! + F(3!) \times 6! - 5!$

5635 $:= -5! + F(6) \times 3!! - 5$
$:= -5! + F(3!) \times 6! + 5$

5664 $:= -5! + F(6) \times 6! + 4!$
$:= (F(4) + 6!) \times F(6) - 5!$

5673 $:= -F(5 + F(6)) - 7! + F(F(F(3!)))$
$:= F(F(F(3!))) - 7! - F(F(6) + 5)$

5693 $:= (5 + 6! - 9) \times F(3!)$
$:= F(3!) \times (-9 + 6!) + 5$

5697 $:= 5 \times 6! + 9 \times F(F(7))$
$:= F(F(7)) \times 9 + 6! \times 5$

5733 $:= 5! + F(F(7)) \times F(F(3!)) + 3!!$
$:= 3!! + F(F(3!)) \times F(F(7)) - 5!$

5734 $:= -5 + 7! - F(F(3!)) + F(4)!!$
$:= F(4)!! - F(F(3!)) + 7! - 5$

5736 $:= (-5 + F(7)) \times (-3 + 6!)$
$:= (6! - 3) \times (F(7) - 5)$

5744 $:= (5 - 7 + F(4)!!) \times F(F(4)!)$
$:= (F(4)!! - F(F(4))) \times (F(7) - 5)$

5747 $:= (-5 + F(7)) \times F(4)!! - F(7)$
$:= -F(7) + F(4)!! \times (F(7) - 5)$

5748 $:= -5 - 7 + F(4)!! \times 8$
$:= 8 \times F(4)!! - 7 - 5$

5749 $:= -5 + 7! + F(F(F(4)!)) \times F(9)$
$:= F(9) \times F(F(F(4)!)) + 7! - 5$

5773 $:= -5! - F(7) - 7! + F(F(F(3!)))$
$:= F(F(F(3!))) - 7! - F(7) - 5!$

5783 $:= -5! - 7! + F(F(8)) - 3$
$:= -3 + F(F(8)) - 7! + 5!$

5784 $:= -5! - 7! + F(F(8)) - F(F(4))$
$:= F(4!)/8 - 7 - 5$

5786 $:= 5 + 7! + F(8) + 6!$
$:= 6! + F(8) + 7! + 5$

5833 $:= ((-5+8)!! + F(F(F(3!))))/F(3)$
$:= (3!! + F(F(F(3!))))/F(8-5)$

5864 $:= 5! + 8 \times (6! - F(F(4)))$
$:= (-F(F(4)) + 6!) \times 8 + 5!$

5867 $:= 5! + 8 \times 6! - F(7)$
$:= -F(7) + 6! \times 8 + 5!$

5886 $:= (5! \times 8 + F(8)) \times 6$
$:= 6 \times (F(8) + 8 \times 5!)$

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$$\begin{aligned}\mathbf{5894} &:= -5! - 8! - F(9) + F(4!)\\ &:= F(4!) - F(9) - 8! - 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5897} &:= F(F(F((-5+8)!))) - 9 - 7!\\ &:= -7! - 9 + F(F(F((8-5)!)))\end{aligned}$$

$$\begin{aligned}\mathbf{5906} &:= -((F(-5+9))! + 0!)! + F(F(F(6)))\\ &:= F(F(F(6))) - ((0! + F(9))/5)!\end{aligned}$$

$$\begin{aligned}\mathbf{5907} &:= F(F(F((F(-5+9))!))) + 0! - 7!\\ &:= -7! + 0! + F(F(F(F(9-5)!)))\end{aligned}$$

$$\begin{aligned}\mathbf{5973} &:= 5! \times 9 + F(F(7)) \times F(F(3!))\\ &:= F(F(3!)) \times F(F(7)) + 9 \times 5!\end{aligned}$$

$$\begin{aligned}\mathbf{5994} &:= (5! - 9) \times 9 \times F(4)!\\ &:= F(4)! \times 9 \times (-9 + 5!)\end{aligned}$$

$$\begin{aligned}\mathbf{6027} &:= F(F(6) \times 02) + 7!\\ &:= 7! + F(2 \times F(06))\end{aligned}$$

$$\begin{aligned}\mathbf{6039} &:= -F(6)! + F((0! + 3)!) - 9\\ &:= -9 + F((3 + 0!)!) - F(6)!\end{aligned}$$

$$\begin{aligned}\mathbf{6043} &:= -F(6)! + 0! + F(4!) - 3!\\ &:= -3! + F(4!) + 0! - F(6)!\end{aligned}$$

$$\begin{aligned}\mathbf{6044} &:= -6! - 0! + F(4! - 4)\\ &:= F(4! - 4) - 0! - 6!\end{aligned}$$

$$\begin{aligned}\mathbf{6045} &:= -6! + F(04 \times 5)\\ &:= F(5 \times 4) - 06!\end{aligned}$$

$$\begin{aligned}\mathbf{6046} &:= F(F(F(6)) - 0!) + F(F(F(4))) - 6!\\ &:= -6! + F(F(F(4))) + F(-0! + F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6047} &:= F((7 - F(4))!) - 0! - F(6)!\\ &:= -F(6)! - 0! + F((-F(4) + 7)!)\end{aligned}$$

$$\begin{aligned}\mathbf{6054} &:= -F(6)! + 0! + 5 + F(4!)\\ &:= F(4!) + 5 + 0! - F(6)!\end{aligned}$$

$$\begin{aligned}\mathbf{6056} &:= F(6) + F((-0! + 5)!) - F(6)!\\ &:= F(6) + F((5 - 0!)!) - F(6)!\end{aligned}$$

$$\begin{aligned}\mathbf{6058} &:= F(F(F(6) - 0!)) \times (5 + F(8))\\ &:= (F(8) + 5) \times F(F(0! + 6))\end{aligned}$$

$$\begin{aligned}\mathbf{6066} &:= F(F(F(6)) - 0!) - 6! + F(F(6))\\ &:= -6! + F(F(6)) + F(-0! + F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6074} &:= F(F(F(6))) + (0! - F(F(7))) \times F(F(F(4)!))\\ &:= -F(F(F(4)!)) \times (F(F(7)) - 0!) + F(F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6165} &:= F(F(F(6)) - 1) - 6! + 5!\\ &:= 5! - 6! + F(-1 + F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6174} &:= F(F(6)) \times (1 + F(7)) \times F(F(F(4)!))\\ &:= F(F(F(4)!)) \times (F(7) + 1) \times F(F(6))\end{aligned}$$

$$\begin{aligned}\mathbf{6237} &:= F(F(6)) \times (2^{3!} + F(F(7)))\\ &:= (F(F(7)) + F(3!)^2) \times F(F(6))\end{aligned}$$

$$\begin{aligned}\mathbf{6247} &:= (F(6) + F(2)) \times F(4)!! - F(F(7))\\ &:= -F(F(7)) + F(4)^2 \times 6!\end{aligned}$$

$$\begin{aligned}\mathbf{6264} &:= (F(6) + F(2)) \times (6! - 4!)\\ &:= (-4! + 6!) \times (F(2) + F(6))\end{aligned}$$

$$\begin{aligned}\mathbf{6324} &:= -F(F(6))^{F(3)} + F(-F(2) + F(F(F(4)!)))\\ &:= -F(F(F(4)!))^2 + F(-F(F(3)) + F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6333} &:= -F(6)! - 3 + 3!^{3!}\\ &:= 3!^{3!} - 3 - F(6)!\end{aligned}$$

$$\begin{aligned}\mathbf{6334} &:= -F(6)! + 3!^{3!} - F(F(4))\\ &:= F(4)!^{3!} - F(3) - F(6)!\end{aligned}$$

$$\mathbf{6338} := 6^{3!} + F(3) - 8!$$

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$:= -8! + F(3) + 3!^6$

6343 $:= F(6)!/3! - F(F(4)! + F(3!))$
$:= F(3!)!/F(4)! - F(3! + F(6))$

6344 $:= -F(6)! + F(3!) + F(4)!^{F(4)!}$
$:= F(4)!^{F(4)!} + F(3!) - F(6)!$

6347 $:= F(F(F(6))) + F(F(3!))^{F(F(4))} - 7!$
$:= F(7) + 4! \times 3!! - F(F(F(6)))$

6367 $:= (F(6)! - 3!!)/6 - F(F(7))$
$:= -F(F(7)) + (F(6)! - 3!!)/6$

6376 $:= 6! + F(3!) \times (-F(7) + 6!)$
$:= (6! - F(7)) \times F(3!) + 6!$

6384 $:= F(F(6)) \times 38 \times F(F(4)!)$
$:= 4!!/F(8)! - F(3!) \times 6!$

6426 $:= (6! - F(4)!) \times (F(2) + F(6))$
$:= ((F(6) - F(2))! + F(4!))/F(6)$

6435 $:= F(6+4) \times (-3 + 5!)$
$:= (5! - 3) \times F(4+6)$

6444 $:= (6! - 4) \times F(4) \times F(4)$
$:= F(4) \times F(4) \times (-4 + 6!)$

6447 $:= F(6)!/F(4)! - F(F(F(4)!)) \times F(7)$
$:= (7! + F(4!))/F(F(4)!) + F(F(6))$

6448 $:= 6! + (F(4)!! - 4) \times 8$
$:= 8 \times (F(4)!! - 4) + 6!$

6454 $:= (F(4)!! + 5) \times 4! - F(F(F(6)))$
$:= -F(F(F(6))) + (F(4)!! + 5) \times 4!$

6459 $:= -F(F(6)) + F(4)! \times 5! \times 9$
$:= 9 \times 5! \times F(4)! - F(F(6))$

6462 $:= (6 + F(4)) \times (6! - 2)$
$:= (-2 + 6!) \times (F(4) + 6)$

6464 $:= F(4)!! + (6! - F(F(4))) \times F(6)$
$:= (6! - F(F(4))) \times F(6) + F(4)!!$

6466 $:= F(F(F(6))) - F(6)!/(F(4) + 6)$
$:= -F(6)!/(F(4) + 6) + F(F(F(6)))$

6467 $:= (6 + F(4)) \times 6! - F(7)$
$:= -F(7) + (6 + F(4)) \times 6!$

6469 $:= -F(6) - F(4) + 6! \times 9$
$:= 9 \times 6! - F(4) - F(6)$

6473 $:= F(6) \times F(4)!! - 7 + 3!!$
$:= 3!! - 7 + F(4)!! \times F(6)$

6474 $:= 6! \times (-4 + F(7)) - F(4)!$
$:= -F(4)! + (F(7) - 4) \times 6!$

6475 $:= 6! \times (-4 + F(7)) - 5$
$:= -5 + (F(7) - 4) \times 6!$

6494 $:= (6! + F(F(4))) \times 9 - 4$
$:= -4 + 9 \times (F(F(4)) + 6!)$

6496 $:= -F(6) + 4! + 9 \times 6!$
$:= 6! \times 9 + 4! - F(6)$

6497 $:= (6! - 4!) \times 9 + F(F(7))$
$:= F(F(7)) + 9 \times (-4! + 6!)$

6516 $:= 6! + F((5-1)!)/F(6)$
$:= 6! + F((-1+5)!)/F(6)$

6532 $:= -F(F(6) + 5) + F(F(F(3!)) - F(2))$
$:= -F(F(F(2) + 3!)) + F(5!/6)$

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$$\begin{aligned}\mathbf{6569} &:= 9\times 6!+F(5+6)\\ &:= F(6+5)+6!\times 9\end{aligned}$$

$$\begin{aligned}\mathbf{6578} &:= -F(6)!/5!\times F(7)+F(F(8))\\ &:= -8!\times F(7)/5!+F(F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6592} &:= -F(6)+5!\times F(9+F(2))\\ &:= F(F(2)+9)\times 5!-F(6)\end{aligned}$$

$$\begin{aligned}\mathbf{6594} &:= -6+5!\times F(F(9)-4!)\\ &:= F(4)!!\times 9+5!-6\end{aligned}$$

$$\begin{aligned}\mathbf{6624} &:= -6!\times 6-2+F(F(F(4)!))\\ &:= F(4!)/(F(2)^{F(6)}+6)\end{aligned}$$

$$\begin{aligned}\mathbf{6626} &:= -6!\times 6+F(F(2+6))\\ &:= F(F(6+2))-6!\times 6\end{aligned}$$

$$\begin{aligned}\mathbf{6627} &:= (F(F(6))+F((6-2)!))/7\\ &:= -7!+F(2)+6!+F(F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6628} &:= -6!\times 6+2+F(F(8))\\ &:= F(F(8))+2-6!\times 6\end{aligned}$$

$$\begin{aligned}\mathbf{6632} &:= F(F(F(6)))+6\times(-3!!+F(2))\\ &:= (F(2)-3!!)\times 6+F(F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6634} &:= F(F(F(6)))+F(6)-3!!\times F(4)!\\ &:= -F(4)!\times 3!!+F(F(F(6)))+F(6)\end{aligned}$$

$$\begin{aligned}\mathbf{6637} &:= (F((F(6)+(6+3)))+(7!))\\ &:= ((7)!+F(((3+6)+F(6))))\end{aligned}$$

$$\begin{aligned}\mathbf{6638} &:= 6\times(-6!+F(3))+F(F(8))\\ &:= F(F(8))+(F(3)-6!)\times 6\end{aligned}$$

$$\begin{aligned}\mathbf{6642} &:= 6!+6\times F(4^2)\\ &:= F(2^4)\times 6+6!\end{aligned}$$

$$\begin{aligned}\mathbf{6644} &:= F(F(F(6)))+(-6!+F(4))\times F(4)!\\ &:= F(4)!\times(F(4)-6!)+F(F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6645} &:= -6!/6+F(4\times 5)\\ &:= F(5\times 4)+6!/6\end{aligned}$$

$$\begin{aligned}\mathbf{6647} &:= F(F(F(6)))+F(F(6))+F(4)!!-7!\\ &:= -7!+F(4)!!+F(F(F(6)))+F(F(6))\end{aligned}$$

$$\begin{aligned}\mathbf{6648} &:= 6!+(F(F(6))+F(4)!!)\times 8\\ &:= (F(8)+F(4)!!)\times F(6)+6!\end{aligned}$$

$$\begin{aligned}\mathbf{6656} &:= (6!-F(6)+5!)\times F(6)\\ &:= (6!+5!-F(6))\times F(6)\end{aligned}$$

$$\begin{aligned}\mathbf{6664} &:= -F(6)!/6!+F(6)!/F(4)!\\ &:= F(F(4)!)!/6-F(6)!/6!\end{aligned}$$

$$\begin{aligned}\mathbf{6677} &:= 6+(6!+F(F(7)))\times 7\\ &:= 7\times(F(F(7))+6!)+6\end{aligned}$$

$$\begin{aligned}\mathbf{6679} &:= F(6)!/6-7-F(9)\\ &:= -F(9)-7+F(6)!/6\end{aligned}$$

$$\begin{aligned}\mathbf{6693} &:= F(6)!/6-9\times 3\\ &:= -3\times 9+F(6)!/6\end{aligned}$$

$$\begin{aligned}\mathbf{6694} &:= F(6)!/6-F(9)+F(F(4)!)\\ &:= F(F(4)!)-F(9)+F(6)!/6\end{aligned}$$

$$\begin{aligned}\mathbf{6696} &:= (F(6)!-F(F(F(6))-9))/6\\ &:= (F(6)!-F(-9+F(F(6))))/6\end{aligned}$$

$$\begin{aligned}\mathbf{6707} &:= F(6)!/(7-0!)-F(7)\\ &:= -F(7)+(0!+7)!/6\end{aligned}$$

$$\begin{aligned}\mathbf{6714} &:= F(6)!/(7-1)-F(4)!\\ &:= -F(4)!+(1+7)!/6\end{aligned}$$

$$\begin{aligned}\mathbf{6731} &:= -F(F(6))-F(7)+F(F(F(3!))-1)\\ &:= F(-1+F(F(3!)))-F(7)-F(F(6))\end{aligned}$$

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$$\begin{aligned}\mathbf{6733} &:= (F(6)! + F(7) \times 3!)/3! \\ &:= F(3!)!/3! + 7 + 6\end{aligned}$$

$$\begin{aligned}\mathbf{6734} &:= F(F(F(6)))/F(7) \times F(3!) - F(F(4)) \\ &:= (F(F(4)!)!/3! - 7 + F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6736} &:= -F(F(6)) + F(F(7)) \times (F(3!) + F(F(6))) \\ &:= F(6) \times (F(3) + 7!/6)\end{aligned}$$

$$\begin{aligned}\mathbf{6744} &:= (6 + 7!/F(4)) \times 4 \\ &:= F(4! - 4) - F(7) - F(6)\end{aligned}$$

$$\begin{aligned}\mathbf{6747} &:= 6! + 7! + F(F(4) + F(7)) \\ &:= F(F(7) + F(4)) + 7! + 6!\end{aligned}$$

$$\begin{aligned}\mathbf{6763} &:= 6 + F(F(7)) \times (F(F(6)) + F(3!)) \\ &:= (F(3!) + F(F(6))) \times F(F(7)) + 6\end{aligned}$$

$$\begin{aligned}\mathbf{6773} &:= F(6) + F(7 + 7 + 3!) \\ &:= F(3!) + F(7 + 7 + 6)\end{aligned}$$

$$\begin{aligned}\mathbf{6783} &:= F(6)! - (F(F(7)) + F(F(8))) \times 3 \\ &:= (3!!/8 + F(F(7))) \times F(F(6))\end{aligned}$$

$$\begin{aligned}\mathbf{6813} &:= 6 \times 8 + F(-1 + F(F(3!))) \\ &:= F(F(F(3!)) - 1) + 8 \times 6\end{aligned}$$

$$\begin{aligned}\mathbf{6834} &:= (6! + 8!)/3! - F(4)! \\ &:= -F(4)! + (3!! + 8!)/6\end{aligned}$$

$$\begin{aligned}\mathbf{6885} &:= F(-F(6)/8 + F(8)) + 5! \\ &:= 5! + F(F(8) - F(8 - 6))\end{aligned}$$

$$\begin{aligned}\mathbf{6914} &:= -F(6)!/(9 + 1) + F(F(F(F(4)!))) \\ &:= -F(F(4)!)!/(1 + 9) + F(F(F(6)))\end{aligned}$$

$$\begin{aligned}\mathbf{6967} &:= 6! \times 9 + 6! - F(F(7)) \\ &:= -F(F(7)) + 6! \times 9 + 6!\end{aligned}$$

$$\begin{aligned}\mathbf{6984} &:= 6! \times 9 + F(8) \times 4! \\ &:= 4! \times F(8) + 9 \times 6!\end{aligned}$$

$$\begin{aligned}\mathbf{7137} &:= 7! + (1 + F(3!)) \times F(F(7)) \\ &:= 7! + (F(3!) + 1) \times F(F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{7142} &:= F(F(7) + 1) + F(F(F(F(4)!)) - F(2)) \\ &:= F(-F(2) + F(F(F(4)!))) + F(1 + F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{7231} &:= F(F(7)) \times 2 + F(F(F(3!)) - 1) \\ &:= F(-1 + F(F(3!))) + 2 \times F(F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{7237} &:= (F(7) \times F(2))^3 + 7! \\ &:= F(7)^3 \times F(2) + 7!\end{aligned}$$

$$\begin{aligned}\mathbf{7265} &:= (F(7) + 2 \times 6!) \times 5 \\ &:= 5 \times (6! \times 2 + F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{7327} &:= 7! \times 3/2 - F(F(7)) \\ &:= 7!/2 \times 3 - F(F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{7344} &:= 7! + (F(3) \times 4!)^{F(F(4))} \\ &:= (4! + 4!)^{F(3)} + 7!\end{aligned}$$

$$\begin{aligned}\mathbf{7346} &:= -7! + 3!! \times F(F(4)) + F(F(F(6))) \\ &:= F(F(F(6))) + F(F(4)) \times 3!! - 7!\end{aligned}$$

$$\begin{aligned}\mathbf{7347} &:= (7! + F(F(3!)) + F(4!))/7 \\ &:= (7! + F(4!) + F(F(3!)))/7\end{aligned}$$

$$\begin{aligned}\mathbf{7353} &:= 7 + F(F(F(3!))) - 5 \times 3!! \\ &:= F(F(F(3!))) - 5 \times 3!! + 7\end{aligned}$$

$$\begin{aligned}\mathbf{7366} &:= (F(F(7)) + F(F(3!))) \times (F(6) + F(F(6))) \\ &:= (F(6) + F(F(6))) \times (F(F(3!)) + F(F(7)))\end{aligned}$$

$$\begin{aligned}\mathbf{7413} &:= (F(F(7)) + (4 + 1)!) \times F(F(3!)) \\ &:= F(F(3!)) \times ((1 + 4)! + F(F(7)))\end{aligned}$$

$$\begin{aligned}\mathbf{7433} &:= F(F(7)) + (4 + 3!) \times 3!!\end{aligned}$$

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$:= 3!! \times (3! + 4) + F(F(7))$

7441 $:= 7^4 + (F(4)! + 1)!$
$:= (1 + F(4)!)^4 + 7!$

7443 $:= (-F(7) - F(F(F(F(4)!)))) \times F(4) + (F(3!))!$
$:= F(3!)! - F(4) \times (F(F(F(F(4)!))) + F(7))$

7444 $:= (F(F(7)) \times F(F(4)!) - F(4)) \times 4$
$:= 4 \times (-F(4) + F(F(4)!) \times F(F(7)))$

7446 $:= F(F(7)) \times F(4)! + F(4!) - F(6)!$
$:= -F(6)! + F(4!) + F(4)! \times F(F(7))$

7455 $:= 7! + F(F(F(4)!)) \times (5! - 5)$
$:= (5! - 5) \times F(F(F(4)!)) + 7!$

7456 $:= F(F(7)) \times (-4! + 56)$
$:= (F(6) + 5!)/4 \times F(F(7))$

7464 $:= F(F(7)) \times (4! + F(6)) + F(F(4)!)$
$:= F(F(4)!) + (F(6) + 4!) \times F(F(7))$

7475 $:= 7! + (F(4)!! - F(F(7))) \times 5$
$:= 5 \times (-F(F(7)) + F(4)!!) + 7!$

7491 $:= (F(F(7)) - F(4)!) \times (F(9) - 1)$
$:= (-1 + F(9)) \times (-F(4)! + F(F(7)))$

7495 $:= -F(F(7)) + F(4!)/(F(9 - 5))!$
$:= F((-5 + 9)!)/F(4)! - F(F(7))$

7497 $:= F(7) \times F(F(F(4)!)) \times 9 + 7!$
$:= F(7) \times 9 \times F(F(F(4)!)) + 7!$

7547 $:= 7! + 5! \times F(F(F(4)!)) - F(7)$
$:= 7! + F(F(F(4)!)) \times 5! - F(7)$

7584 $:= 7! + 5! \times F(8) + 4!$
$:= 4! + F(8) \times 5! + 7!$

7616 $:= (F(F(7)) + 6! - 1) \times F(6)$
$:= F(6) \times (-1 + 6! + F(F(7)))$

7624 $:= 7! + F(-6 + 24)$
$:= F(F(4) \times F(2) \times 6) + 7!$

7637 $:= F(7) + F(6 \times 3) + 7!$
$:= F(7) + F(3 \times 6) + 7!$

7638 $:= (7! + F(F(F(6)))) \times 3 - 8!$
$:= -8! + 3 \times (F(F(F(6))) + 7!)$

7644 $:= F(7) \times F(F(6)) \times (4! + 4)$
$:= (4! + 4) \times F(F(6)) \times F(7)$

7684 $:= -F(F(7)) + F(F(6)) \times F(8 + F(4)!)$
$:= F(F(4)! + 8) \times F(F(6)) - F(F(7))$

7686 $:= 7! + F(F(6)) \times F(8) \times 6$
$:= F(F(6)) \times F(8) \times 6 + 7!$

7688 $:= (F(F(7)) + 6! + 8) \times 8$
$:= 8 \times (8 + 6! + F(F(7)))$

7694 $:= (F(F(7)) - 6) \times F(9) - 4!$
$:= -4! + F(9) \times (-6 + F(F(7)))$

7696 $:= (F(F(7)) + 6! + 9) \times F(6)$
$:= F(6) \times ((9 + 6!) + F(F(7)))$

7795 $:= -7 + F(F(7)) \times F(9) - 5!$
$:= -5! + F(9) \times F(F(7)) - 7$

7854 $:= (F(F(7)) + F(8) + 5!) \times F(F(F(4)!))$
$:= F(F(F(4)!)) \times (5! + F(8) + F(F(7)))$

7874 $:= (F(F(7)) + F(8)) \times (7 + 4!)$
$:= (4! + 7) \times (F(8) + F(F(7)))$

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$$\begin{aligned}\mathbf{7904} &:= (F(7+9)+0!)\times F(F(4)!)\\ &:= F(F(4)!)\times(0!+F(9+7))\end{aligned}$$

$$\begin{aligned}\mathbf{7913} &:= F(F(7))\times F(9)-1-F(3!)\\ &:= -F(3!)-1+F(9)\times F(F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{7914} &:= F(F(7))\times F(9)-F((F(1\times 4))!)\\ &:= -F((4-1)!)+F(9)\times F(F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{7942} &:= F(F(7))\times F(9)+F(F(F(4)!))-F(2)\\ &:= -F(2)+F(F(F(4)!))+F(9)\times F(F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{7943} &:= F(F(7))\times F(9)+4!-3\\ &:= (F(F(3))+F(4!-9))\times F(7)\end{aligned}$$

$$\begin{aligned}\mathbf{7944} &:= F(F(7))\times F(9)+4!-F(F(4))\\ &:= 4!-F(F(4))+F(9)\times F(F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{7954} &:= 7!+F(9)+5!\times 4!\\ &:= 4!\times 5!+F(9)+7!\end{aligned}$$

$$\begin{aligned}\mathbf{7994} &:= F(F(7))\times F(9)+9\times F(F(4)!)\\ &:= F(F(4)!)\times 9+F(9)\times F(F(7))\end{aligned}$$

$$\begin{aligned}\mathbf{8043} &:= 8!/(0!+4)-F(F(3!))\\ &:= F(3!)!/(4+0!)-F(8)\end{aligned}$$

$$\begin{aligned}\mathbf{8056} &:= 8!/05-F(6)\\ &:= F(6)!/5-08\end{aligned}$$

$$\begin{aligned}\mathbf{8344} &:= 8\times 3!!+F(F(4)\times F(4)!)\\ &:= F(F(4)\times F(4)!)+3!!\times 8\end{aligned}$$

$$\begin{aligned}\mathbf{8354} &:= F(F(8))-3!^5/F(4)\\ &:= F(4!-5)\times F(3)-8\end{aligned}$$

$$\begin{aligned}\mathbf{8373} &:= -F(8\times F(3))+F(7)\times 3!!\\ &:= 3!!\times F(7)-F(F(3)\times 8)\end{aligned}$$

$$\begin{aligned}\mathbf{8426} &:= F(F(8))-(F(4)+2)!\times F(F(6))\\ &:= -F(6)!/2^4+F(F(8))\end{aligned}$$

$$\begin{aligned}\mathbf{8494} &:= -F(F(8))+F(4)!!\times 9\times F(4)\\ &:= F(4)!!\times 9\times F(4)-F(F(8))\end{aligned}$$

$$\begin{aligned}\mathbf{8535} &:= (F(F(8)-5)+3!!)\times 5\\ &:= 5\times(3!!+F(-5+F(8)))\end{aligned}$$

$$\begin{aligned}\mathbf{8546} &:= F(F(8))-5!^{F(F(4))}/6\\ &:= (-F(F(6))+F(F(F(4))))\times 5!+F(F(8))\end{aligned}$$

$$\begin{aligned}\mathbf{8573} &:= F(F(8))-(5!-7)\times F(F(3!))\\ &:= F(F(3!))\times(7-5!)+F(F(8))\end{aligned}$$

$$\begin{aligned}\mathbf{8684} &:= F(F(8))-F(6+8)\times F(4)!\\ &:= -F(4)!\times F(8+6)+F(F(8))\end{aligned}$$

$$\begin{aligned}\mathbf{8694} &:= F(8)\times 69\times F(4)!\\ &:= F(4!)\times 9/(6\times 8)\end{aligned}$$

$$\begin{aligned}\mathbf{8776} &:= 8\times(F(7+7)+6!)\\ &:= 6!+F(7+7)\times 8\end{aligned}$$

$$\begin{aligned}\mathbf{8784} &:= 8!/(F(7)-8)+F(4)!!\\ &:= F(4)!!+8!/(F(7)-8)\end{aligned}$$

$$\begin{aligned}\mathbf{8786} &:= F(F(8))-(7!+8!)/F(F(6))\\ &:= -6!\times F(8)/7+F(F(8))\end{aligned}$$

$$\begin{aligned}\mathbf{8856} &:= (F(8+8)+5!)\times F(6)\\ &:= F(6)\times(5!+F(8+8))\end{aligned}$$

$$\begin{aligned}\mathbf{8932} &:= (F(F(8))-9\times 3!!)\times 2\\ &:= 2\times(-3!!\times 9+F(F(8)))\end{aligned}$$

$$\begin{aligned}\mathbf{8944} &:= (8!/9-F(F(4)!))\times F(F(4))\\ &:= F(F(4))\times F(F(4)!)!/9-8\end{aligned}$$

$$\begin{aligned}\mathbf{9243} &:= F(F(3!))^{F(4)}-2\times 9\\ &:= -9\times 2+F(F(F(4)!))^3\end{aligned}$$

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$$\begin{aligned}\mathbf{9284} &:= -9! + F(F(2)+8) \times F(F(F(F(4)!))) \\ &:= F(F(F(F(4)!))) \times F(8+F(2)) - 9!\end{aligned}$$

$$\begin{aligned}\mathbf{9326} &:= -F(9) + F(3! + F(2)) \times 6! \\ &:= 6! \times F(F(2)+3!) - F(9)\end{aligned}$$

$$\begin{aligned}\mathbf{9333} &:= 9 \times F(3!) + F(F(3!))^3 \\ &:= F(F(3!))^3 + F(3!) \times 9\end{aligned}$$

$$\begin{aligned}\mathbf{9334} &:= F(9 - F(3)) \times (3!! - F(F(4))) \\ &:= (-F(F(4)) + 3!!) \times F(-F(3)+9)\end{aligned}$$

$$\begin{aligned}\mathbf{9343} &:= -F(F(9)/F(3)) - F(4)! + F(F(F(3!))) \\ &:= F(F(F(3!))) - F(4)! - F(F(3!)+9)\end{aligned}$$

$$\begin{aligned}\mathbf{9345} &:= F(9 + F(3)) \times F(F(F(4)!)) \times 5 \\ &:= 5 \times F(F(F(4)!)) \times F(F(3)+9)\end{aligned}$$

$$\begin{aligned}\mathbf{9346} &:= -(F(9) + 3!)^{F(F(4))} + F(F(F(6))) \\ &:= F(F(F(6))) - F(4) - F(F(3!)+9)\end{aligned}$$

$$\begin{aligned}\mathbf{9347} &:= (-9 + 3!! + F(F(4)!)) \times F(7) \\ &:= F(7) \times F(4)!! - F(-F(3)+9)\end{aligned}$$

$$\begin{aligned}\mathbf{9349} &:= F(F(F(9-3))) - F(F(F(4)!) + 9) \\ &:= F(F(8)) - F(F(F(4))) - F(F(3!)+9)\end{aligned}$$

$$\begin{aligned}\mathbf{9354} &:= -F(F(9)/F(3)) + 5 + F(F(F(F(4)!))) \\ &:= F(F(F(F(4)!))) + 5 - F(F(3!)+9)\end{aligned}$$

$$\begin{aligned}\mathbf{9373} &:= F(9 - F(3)) + F(7) \times 3!! \\ &:= 3!! \times F(7) + F(-F(3)+9)\end{aligned}$$

$$\begin{aligned}\mathbf{9394} &:= (F(9) + (3!! \times (9+4))) \\ &:= (4+9) \times 3!! + F(9)\end{aligned}$$

$$\begin{aligned}\mathbf{9407} &:= F(9) + (F(4)!! + 0!) \times F(7) \\ &:= F(7) \times (0! + F(4)!!) + F(9)\end{aligned}$$

$$\begin{aligned}\mathbf{9434} &:= (-F(9 \times F(F(4))) + F(3!)!)/4 \\ &:= F(F(F(F(4)!))) - F(F(3!)) \times F(F(4)!) \times 9\end{aligned}$$

$$\begin{aligned}\mathbf{9438} &:= (-F(9) - F(4)!!) \times F(3) + F(F(8)) \\ &:= F(F(8)) - F(3) \times (F(4)!! + F(9))\end{aligned}$$

$$\begin{aligned}\mathbf{9447} &:= 9 + (F(4)! + F(4)!!) \times F(7) \\ &:= F(7) \times (F(4)! + F(4)!!) + 9\end{aligned}$$

$$\begin{aligned}\mathbf{9454} &:= -F(F(F(F(4)!))) + (-5! + F(4)!!) \times F(9) \\ &:= F(9) \times (F(4)!! - 5!) - F(F(F(F(4)!)))\end{aligned}$$

$$\begin{aligned}\mathbf{9464} &:= (9+4) \times (F(6) + F(4)!!) \\ &:= (F(4)!! + F(6)) \times (4+9)\end{aligned}$$

$$\begin{aligned}\mathbf{9486} &:= F(9) \times (F(4)!! - F(8) \times F(F(6))) \\ &:= (6! - F(8)^{F(F(4))}) \times F(9)\end{aligned}$$

$$\begin{aligned}\mathbf{9566} &:= -F(9) + 5 \times F(6)!/F(F(6)) \\ &:= F(6)!/F(F(6)) \times 5 - F(9)\end{aligned}$$

$$\begin{aligned}\mathbf{9576} &:= 9 \times (5! + F(7)) \times F(6) \\ &:= F(6) \times (F(7) + 5!) \times 9\end{aligned}$$

$$\begin{aligned}\mathbf{9633} &:= (F(9) - F(F(6))) \times (3!! + F(F(3!))) \\ &:= (3!! + F(F(3!))) \times (-F(F(6)) + F(9))\end{aligned}$$

$$\begin{aligned}\mathbf{9645} &:= (9 + F(6)!/F(F(F(4)!))) \times 5 \\ &:= 5 \times (F(F(4)!)!/F(F(6)) + 9)\end{aligned}$$

$$\begin{aligned}\mathbf{9657} &:= 9 \times (6! + 5! + F(F(7))) \\ &:= (F(F(7)) + 5! + 6!) \times 9\end{aligned}$$

$$\begin{aligned}\mathbf{9667} &:= F(9) + (6! + F(F(6))) \times F(7) \\ &:= F(7) \times (6! + F(F(6))) + F(9)\end{aligned}$$

$$\begin{aligned}\mathbf{9672} &:= (-F(9) \times 6 + 7!) \times 2 \\ &:= 2 \times (7! - 6 \times F(9))\end{aligned}$$

$$\mathbf{9724} := F(9) \times F(7) \times (-2 + 4!)$$

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$:= (4! - 2) \times F(7) \times F(9)$

$9784 := -F(9) \times F(7) + F(F(8)) - F(4)!!$
$:= -F(4)!! + F(F(8)) - F(7) \times F(9)$

$9793 := -9 + F(7) \times (F(9) + 3!!)$
$:= (3!! + F(9)) \times F(7) - 9$

$9847 := -F(F(9) - F(8)) + F(F(4)) \times 7!$

$:= 7! \times F(F(4)) - F(-F(8) + F(9))$

$9864 := (F(9) + F(8 + 6)) \times 4!$
$:= 4! \times (F(6 + 8) + F(9))$

$9873 := 9 \times (F(F(8) - 7) + 3!!)$
$:= (3!! + F(-7 + F(8))) \times 9$

5.2 Digit's Order

5.2.1 Basic Operations

$34 := F(3 \times F(4))$
$63 := F(F(6)) \times 3$
$64 := F(6)^{F(F(4))}$
$84 := F(8) \times 4$
$143 := -1 + F(4 \times 3)$
$144 := F((-1 + 4) \times 4)$
$168 := 1 \times F(6) \times F(8)$
$189 := 1 \times F(8) \times 9$
$233 := F(F(-2 + 3 \times 3))$
$234 := F(2) + F(F(3 + 4))$
$235 := 2 + F(F(F(3) + 5))$
$237 := F(2) + 3 + F(F(7))$
$245 := 2 + F(4)^5$
$245 := 2 + F(4)^5$
$256 := 2^5 \times F(6)$
$256 := 2^5 \times F(6)$
$267 := F(F(2) + F(6)) + F(F(7))$
$374 := F(F(3) \times 7) - F(4)$
$376 := -F(F(3)) + F(-7 + F(F(6)))$
$377 := F(3 \times 7 - 7)$
$378 := F(F(3)) + F(-7 + F(8))$
$466 := F(F(4)) \times F(-F(6) + F(F(6)))$
$472 := (F(4) + F(F(7))) \times 2$
$630 := F(F(6)) \times 30$
$693 := F(F(6)) \times (F(9) - F(F(3)))$
$784 := (7 + F(8))^{F(F(4))}$
$840 := F(8) \times 40$

$882 := F(8) \times F(8) \times 2$
$986 := F(9) \times (F(8) + F(6))$
$1042 := F(10) + F(4^2)$
$1042 := F(10) + F(4^2)$
$1165 := F(F(1 \times 1 + 6)) \times 5$
$1175 := (1 + 1 + F(F(7))) \times 5$
$1178 := F(11) \times F(7) + F(8)$
$1292 := F(1 \times 2 \times 9)/2$
$1293 := F(12) \times 9 - 3$
$1293 := F(12) \times 9 - 3$
$1294 := F(12) \times 9 - F(F(4))$
$1364 := -F(13) + F(F(F(6)) - 4)$
$1365 := 13 \times F(F(6)) \times 5$
$1368 := (1 - 3 + F(F(F(6))))/8$
$1397 := -1 + (-3 + 9) \times F(F(7))$
$1429 := 1 + 42 \times F(9)$
$1429 := 1 + 42 \times F(9)$
$1487 := -F(14) + 8 \times F(F(7))$
$1525 := F(15)/2 \times 5$
$1536 := (1 + 5) \times F(3)^{F(6)}$
$1575 := F(F(1 + 5)) \times 75$
$1576 := F(-1 + 5 + F(7)) - F(F(6))$
$1589 := -F(1 + 5) + F(8 + 9)$
$1592 := -1 \times 5 + F(F(9)/2)$
$1593 := 1 - 5 + F(F(9)/F(3))$
$1594 := F(F(1 + 5) + 9) - F(4)$
$1596 := -1^5 + F(9 + F(6))$

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$1597 := F(1^5+9+7)$
$1597 := F(1^5+9+7)$
$1598 := 1^5+F(9+8)$
$1598 := 1^5+F(9+8)$
$1617 := -1+F(F(6))+F(17)$
$1618 := F(16+1)+F(8)$
$1645 := F(16)/F(4)\times 5$
$1680 := 1\times F(F(6))\times 80$
$1684 := -1+F(F(F(6)))-F(8)^{F(4)}$
$1687 := (F(F(1+6))+8)\times 7$
$1736 := (-1+F(7))^3+F(6)$
$1736 := (-1+F(7))^3+F(6)$
$1763 := -1+(7\times 6)^{F(3)}$
$1763 := -1+(7\times 6)^{F(3)}$
$1764 := 1\times (7\times 6)^{F(F(4))}$
$1778 := 1\times 7\times (F(F(7))+F(8))$
$1785 := F(1+7)\times 85$
$1824 := (-1+F(F(8))/2)/F(4)$
$1847 := -1-8\times (F(F(4))-F(F(7)))$
$1848 := (1+F(8))\times 4\times F(8)$
$1856 := (-1+F(8+5))\times F(6)$
$1862 := F(F(-1+8))\times F(6)-2$
$1863 := F(F(-1+8))\times F(6)-F(F(3))$
$1864 := F(F(-1+8))\times (6+F(F(4)))$
$1865 := 1+8\times F(F(6)+5)$
$1871 := -1+8\times (F(F(7))+1)$
$1872 := F(-1+8)\times F(F(7)-F(2))$
$1873 := 1+8\times (F(F(7))+F(F(3)))$
$1877 := 1\times 8\times F(F(7))+F(7)$
$1885 := F(1+F(8)-8)\times 5$
$1890 := 1\times F(8)\times 90$
$1897 := (-1+8\times F(9))\times 7$
$1925 := (1+F(9))\times F(2\times 5)$
$1972 := (-1+F(9+7))\times 2$
$1973 := -1+F(9+7)\times F(3)$
$1974 := F(1\times 9+7)\times F(F(4))$
$1976 := 19\times F(7)\times F(6)$
$1976 := 19\times F(7)\times F(6)$
$1995 := F(-1+9)\times 95$

$2048 := 2^{F(04)+8}$
$2048 := 2^{F(04)+8}$
$2079 := (-2+F(F(07)))\times 9$
$2097 := (2\times 0+9)\times F(F(7))$
$2185 := (F(21)-F(8))/5$
$2185 := (F(21)-F(8))/5$
$2529 := -F(2\times 5)+F(2\times 9)$
$2563 := F(F(2+5))\times (F(6)+3)$
$2576 := F(25-7)-F(6)$
$2577 := F(25-7)-7$
$2578 := 2+F(5+F(7))-8$
$2582 := F(2\times 5+8)-2$
$2583 := -F(2)+F(-5+F(8)+F(3))$
$2584 := F(2\times (5+8-4))$
$2585 := F(2)+F(5+8+5)$
$2586 := 2+F((-5+8)\times 6)$
$2594 := 2\times 5+F(9\times F(F(4)))$
$2597 := F(F(-2+5)\times 9)+F(7)$
$2618 := F(F(2)+F(6))+F(18)$
$2639 := F(2+F(6))+F(F(3)\times 9)$
$2645 := (2+F(F(6)))^{F(F(4))}\times 5$
$2646 := 2\times F(F(6))\times F(4)\times F(F(6))$
$2648 := 2^6+F(-F(4)+F(8))$
$2688 := 2\times F(6)\times F(8)\times 8$
$2736 := (2\times 7)^3-F(6)$
$2736 := (2\times 7)^3-F(6)$
$2742 := (2\times 7)^{F(4)}-2$
$2742 := (2\times 7)^{F(4)}-2$
$2743 := (2\times 7)^{F(4)}-F(F(3))$
$2744 := (-2+F(7)+F(4))^{F(4)}$
$2744 := (-2+F(7)+F(4))^{F(4)}$
$2746 := (2+7^{F(4)})\times F(6)$
$2746 := 2+7^{F(4)}\times F(6)$
$2754 := -2^{F(7)}+F(F(5+F(4)))$
$2767 := -2^{F(7)}+F(F(F(6)))+F(7)$
$2784 := (-F(2)+F(F(7)))\times (8+4)$
$2794 := -2+F(F(7))\times (9+F(4))$
$2796 := F(2)\times F(F(7))\times (-9+F(F(6)))$

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$2798 := 2 + F(F(7)) \times (-9 + F(8))$
$2817 := F(2 \times (8+1)) + F(F(7))$
$2937 := (-F(2) + F(9)) \times F(-F(3) + F(7))$
$3178 := F(3) \times (F(17) - 8)$
$3178 := F(3) \times (F(17) - 8)$
$3192 := F(3) \times (-1 + F(F(9)/2))$
$3194 := F(3) \times F(19 - F(F(4)))$
$3196 := F(3) \times (1 + F(9 + F(6)))$
$3364 := (3 + F(F(3) + F(6)))^{F(F(4))}$
$3367 := (3 + F(3)^{F(6)}) \times F(7)$
$3367 := 3 + F(3)^{F(6)} \times F(7)$
$3373 := -F(3) + (F(3) + F(7))^3$
$3374 := -F(F(3)) + (F(3) + F(7))^{F(4)}$
$3382 := (-F(F(3)) + F(-F(F(3)) + F(8)))/2$
$3383 := (F(F(3)) + F(-F(F(3)) + F(8)))/F(3)$
$3384 := (3 + F(-F(F(3)) + F(8)))/F(F(4))$
$3495 := 3 \times F(4+9) \times 5$
$3528 := F(3+5)^2 \times 8$
$3569 := -F(F(3)) + 5 \times F(F(6)) \times F(9)$
$3575 := F(F(3) \times 5) \times F(7) \times 5$
$3584 := (F(3) + 5) \times 8^{F(4)}$
$3584 := (F(3) + 5) \times 8^{F(4)}$
$3602 := F(3) + 60^2$
$3602 := F(3) + 60^2$
$3603 := 3 + 60^{F(3)}$
$3603 := 3 + 60^{F(3)}$
$3635 := (3^6 - F(3)) \times 5$
$3639 := (-F(3) + F(F(F(6))))/3 - 9$
$3644 := (-F(3) + F(F(F(6))))/F(4) - 4$
$3645 := (3+6)^{F(4)} \times 5$
$3648 := (-F(3) + F(F(F(6))))/F(-4+8)$
$3649 := (3 \times F(F(F(6))) + F(4))/9$
$3666 := (F(F(3)) + F(-6 + F(F(6)))) \times 6$
$3726 := -F(3) + F(F(7)) \times 2 \times F(6)$
$3728 := F(3) \times F(F(7)) \times F(2) \times 8$
$3736 := (F(3) \times F(F(7)) + F(F(3))) \times F(6)$
$3738 := F(3) \times F(F(7) - F(3)) \times F(8)$
$3744 := F(3) \times F(7) \times F(F(4) \times 4)$
$3773 := (-F(3) + F(7)) \times 7^3$
$3784 := 3^7 + F(F(8) - 4)$
$3786 := (F(F(3) + F(7)) + F(8)) \times 6$
$3844 := (-F(3) + 8^{F(F(4))})^{F(F(4))}$
$3948 := F(3) \times 94 \times F(8)$
$3948 := F(3) \times 94 \times F(8)$
$3966 := -3 + 9 \times F(F(6)) \times F(F(6))$
$3968 := (-F(F(3)) + 9 \times F(F(6))) \times F(8)$
$3969 := F(F(-3+9)) \times F(F(6)) \times 9$
$3979 := F(F(3)) + 9 \times F(7) \times F(9)$
$4176 := -4 - 1 + F(F(7) + 6)$
$4177 := -4 + F(-1 + 7 + F(7))$
$4181 := F(-4 + 1 + F(8)) + 1$
$4182 := F(F(4-1)) + F(F(8) - 2)$
$4183 := F(F(4)) + 1 \times F(F(8) - F(3))$
$4184 := F(4) + F(1 + F(8) - F(4))$
$4197 := F(4) + F(19) + F(7)$
$4197 := F(4) + F(19) + F(7)$
$4198 := -4 + F(19) + F(8)$
$4198 := -4 + F(19) + F(8)$
$4277 := (F(F(F(4))) + F(2 + F(7))) \times 7$
$4372 := F(F(4)) \times (3^7 - F(2))$
$4373 := F(F(4)) \times 3^7 - F(F(3))$
$4374 := (F(F(4)) + F(F(3)))^7 \times F(F(4))$
$4386 := F(F(F(4))) - 3^8 + F(F(F(6)))$
$4388 := F(4) - 3^8 + F(F(8))$
$4394 := F(F(4)) \times (F(-F(3) + 9)^{F(4)})$
$4427 := (F(4) + 4^2) \times F(F(7))$
$4455 := F(4)^4 \times 55$
$4536 := (F(F(F(4))) + 5)^3 \times F(F(6))$
$4576 := 4 \times (5 \times F(F(7)) - F(F(6)))$
$4578 := (-F(4) \times 5 + F(F(7))) \times F(8)$
$4624 := (4 + F(6)^2)^{F(F(4))}$
$4632 := (F(4) + F(F(6))^3)/2$
$4647 := F(-F(F(4)) + F(F(6))) + F(F(4)) \times F(F(7))$
$4720 := (F(4) + F(F(7))) \times 20$
$4746 := (-4 + F(F(7)) - F(4)) \times F(F(6))$
$4765 := (4 \times F(F(7)) + F(F(6))) \times 5$
$4766 := -F(F(F(4))) + (F(F(7)) - 6) \times F(F(6))$

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$4767 := F(4) \times (F(F(7)) - 6) \times 7$
$4768 := F(F(F(4))) + (F(F(7)) - 6) \times F(8)$
$4776 := (F(F(F(4)) + F(7)) - F(7)) \times F(6)$
$4788 := (F(4) + F(F(7)) - 8) \times F(8)$
$4791 := F(4) \times F(7 + 9 + 1)$
$4794 := 47 \times F(9) \times F(4)$
$4794 := 47 \times F(9) \times F(4)$
$4847 := -4 - F(8) \times (F(F(4)) - F(F(7)))$
$4864 := F(F(4))^8 \times (F(F(6)) - F(F(4)))$
$4871 := -F(F(F(4))) + F(8) \times (F(F(7)) - 1)$
$4872 := F(F(F(4))) \times F(8) \times (F(F(7)) - F(2))$
$4873 := F(F(F(4))) + F(8) \times (F(F(7)) - F(F(3)))$
$4874 := F(F(4)) + F(8) \times (F(F(7)) - F(F(F(4))))$
$4876 := -4 + F(8 + 7) \times F(6)$
$4877 := -F(4) + F(8) \times F(F(7)) - F(7)$
$4878 := -F(F(4)) + 8 \times F(7 + 8)$
$4887 := F(F(4)) - 8 + F(8) \times F(F(7))$
$4889 := -4 + F(8) \times F(-F(8) + F(9))$
$4892 := -F(F(F(4))) + F(8) \times F(F(9 - 2))$
$4893 := F(4 + 8) \times F(9) - 3$
$4894 := F(4 + 8) \times F(9) - F(F(4))$
$4896 := F(4) \times 8 \times F(9) \times 6$
$4899 := F(4) + F(F(8) - 9) \times F(9)$
$4913 := (-4 + F(9 - 1))^3$
$4935 := F(4 + 9 + 3) \times 5$
$4998 := (-F(F(4)) + 9) \times F(9) \times F(8)$
$5184 := (51 + F(8))^{F(F(4))}$
$5439 := F(F(5 + F(4)))/F(3) - F(9)$
$5463 := (-5 \times 4 + F(F(F(6))))/F(3)$
$5464 := (-5) - 4 + F(F(F(6)))/F(F(4))$
$5468 := -5 + 4 \times F(F(F(6))) \times (1/8)$
$5473 := F(F(5 - 4 + 7))/F(3)$
$5482 := 5 + 4 + (1/2) \times F(F(8))$
$5483 := (5 \times 4 + F(F(8)))/F(3)$
$5675 := -5 \times (5 \times (6 - F(F(7))))$
$5785 := (5 \times F(F(7)) - 8) \times 5$
$5825 := 25 \times F(5 + 8)$
$6300 := 300 \times F(F(6))$
$6548 := -F(6) - 5 + F(4)^8$
$6548 := -F(6) - 5 + F(4)^8$
$6561 := (F(6) - 5)^{F(6)}$
$6562 := (F(6) - 5)^{F(6)} + F(2)$
$6563 := (F(6) - 5)^{F(6)} + F(3)$
$6564 := (F(6) - 5)^{F(6)} + F(4)$
$6615 := 15 \times (F(F(6)) \times F(F(6)))$
$6676 := -F(-6 + F(F(6))) \times 7 + F(F(F(6)))$
$6728 := (F(F(F(6)))/F(7) - F(2)) \times 8$
$6736 := F(F(F(6)))/F(7) \times (F(3) + 6)$
$6744 := -F(F(6)) + F(F(7) + F(4) + 4)$
$6746 := -6 - F(7) + F(-F(F(F(4))) + F(F(6)))$
$6757 := (-6 + 7 \times 5) \times F(F(7))$
$6762 := -F(F(6))/7 + F(F(F(6)) - F(2))$
$6763 := F(F(F(6))) - F(F(7) + 6) - F(3)$
$6764 := F(F(F(6)) - 7 + 6) - F(F(F(4)))$
$6765 := F(6 + F(7) + 6 - 5)$
$6771 := 6 + F(F(7) + 7 \times 1)$
$6772 := 6 + F(F(7) + 7) + F(2)$
$6773 := 6 + F(F(7) + 7) + F(3)$
$6774 := 6 + F(F(7) + 7) + F(4)$
$6778 := -F(6) + F(F(7) + 7) + F(8)$
$6784 := (-F(F(6)) + F(F(7))) \times 8 \times 4$
$6786 := F(F(6)) + F(-7 + F(8) + 6)$
$6794 := F(6 + 7) + 9^4$
$6794 := F(6 + 7) + 9^4$
$6799 := F(F(F(6)) - F(-7 + 9)) + F(9)$
$6845 := F(F(F(6))) - 8^4 - 5$
$6867 := (-6 + F(8 + F(6))) \times 7$
$6924 := 6 \times (F(9)^2 - F(F(4)))$
$6928 := 6 \times F(9)^2 - 8$
$6928 := 6 \times F(9)^2 - 8$
$6933 := 6 \times F(9)^{F(3)} - 3$
$6933 := 6 \times F(9)^{F(3)} - 3$
$6934 := 6 \times F(9)^{F(3)} - F(F(4))$
$6936 := 6 \times F(9) \times F(3 + 6)$
$6942 := 6 \times (F(9)^{F(F(4))} + F(2))$
$6954 := F(F(6)) \times 9 + F(5 \times 4)$
$6977 := (F(F(6)) + 9) \times F(F(7)) - F(7)$
$6993 := F(F(6)) \times 9 \times (F(9) + 3)$
$7163 := F(F(7) + 1) \times (F(F(6)) - F(3))$

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$7392 := (F(F(7)) - F(3)) \times (F(9) - 2)$
$7448 := (F(F(7)) \times 4 - F(F(F(4)))) \times 8$
$7453 := F(F(7)) \times F(F(4))^5 - 3$
$7454 := F(F(7)) \times F(F(4))^5 - F(F(4))$
$7456 := F(F(7)) \times (F(F(4)) + 5 \times 6)$
$7464 := F(F(7)) \times F(4) + F(F(F(6)) - F(F(F(4))))$
$7476 := (7^{F(4)} + F(7)) \times F(F(6))$
$7645 := (F(F(7)) + 6^4) \times 5$
$7648 := (F(F(7)) + 6) \times 4 \times 8$
$7663 := -F(F(7)) + F(6) \times F(F(6) \times F(3))$
$7689 := F(F(7)) \times (-F(6)/8 + F(9))$
$7697 := F(7) \times F(6+9) - F(F(7))$
$7744 := (F(7) \times 7 - F(4))^{F(F(4))}$
$7759 := 7 + (F(F(7)) - 5) \times F(9)$
$7776 := (-7 + F(7))^{F(7)-F(6)}$
$7776 := (-7 + F(7))^{F(7)-F(6)}$
$7865 := F(7) \times (F(F(8) - 6) - 5)$
$7875 := (F(F(7)) - 8) \times 7 \times 5$
$7883 := -F(7) + 8 \times F(8 \times F(3))$
$7911 := F(F(7)) \times F(9) - 11$
$7916 := F(F(7)) \times F(9) - 1 \times 6$
$7917 := (-F(7) + F(9)) \times F(1 + F(7))$
$7934 := F(F(7)) \times F(9) + 3 \times 4$
$7935 := F(F(7)) \times F(9) + F(F(3) + 5)$
$7937 := F(F(7)) \times F(9) + F(3) + F(7)$
$7938 := F(F(7)) \times F(9) + F(3) \times 8$
$7943 := F(F(7)) \times F(9) + F(4 \times F(3))$
$7946 := F(F(7)) \times F(9) + 4 \times 6$
$7949 := F(F(7)) \times F(9) + F(4) \times 9$
$7957 := F(F(7)) \times F(9) + 5 \times 7$
$7964 := F(F(7)) \times F(9) + F(F(6)) \times F(F(4))$
$7974 := F(F(7)) \times F(9) + F(7) \times 4$
$7978 := F(F(7)) \times F(9) + 7 \times 8$
$7985 := F(-F(7) + 9 + F(8)) \times 5$
$7986 := F(F(7)) \times F(9) + 8 \times F(6)$
$8213 := F(8) + 2^{13}$
$8213 := F(8) + 2^{1}3$
$8247 := F(8+2) + F(F(4))^{F(7)}$
$8294 := (F(F(8) - 2) - F(9)) \times F(F(4))$
$8352 := (F(F(8) - F(3)) - 5) \times 2$
$8361 := F(F(8)) - F(3 \times 6) - 1$
$8362 := F(F(8)) - F((3+6) \times 2)$
$8363 := F(F(8)) + F(F(3)) - F(6 \times 3)$
$8364 := F(F(8)) + F(3) - F(6 \times F(4))$
$8367 := -F(8) + 36 \times F(F(7))$
$8368 := -F(F(8) - 3) + 6 + F(F(8))$
$8383 := F(8) + F(3) \times F(F(8) - F(3))$
$8396 := -F(F(8) - 3) + F(9) + F(F(F(6)))$
$8400 := 400 \times F(8)$
$8464 := (84 + F(6))^{F(F(4))}$
$8820 := 20 \times (F(8) \times F(8))$
$8849 := F(F(8)) - F(F(F(8)/F(4))) \times 9$
$8883 := F(8+8) \times (8 + F(F(3)))$
$8972 := F(F(8)) - F(9+7) \times 2$
$9248 := F(9)^{-2+4} \times 8$
$9346 := -F(F(9)/F(3)) - F(4) + F(F(F(6)))$
$9348 := -F(F(9)/F(3)) - F(F(F(4))) + F(F(8))$
$9349 := -F(F(9)/F(3)) + F(F(F(-F(4) + 9)))$
$9363 := F(9) \times 3 + F(F(6))^3$
$9474 := 9^{F(4)} \times F(7) - F(4)$
$9474 := 9^{F(4)} \times F(7) - F(4)$
$9477 := 9^{-4+7} \times F(7)$
$9477 := 9^{-4+7} \times F(7)$
$9586 := -F(9) \times 5 \times 8 + F(F(F(6)))$
$9756 := -F(9) \times 7 \times 5 + F(F(F(6)))$
$9792 := F(9) \times (F(F(7)) + F(9 + F(2)))$
$9837 := 98^{F(3)} + F(F(7))$
$10936 := -10 + F(9 \times 3 - 6)$
$10946 := F(10 + 9 - 4 + 6)$
$11177 := -1 - 1 + F(17) \times 7$
$11489 := (1 + (1+4)^8)/F(9)$
$12348 := (F(12) + 3) \times 4 \times F(8)$
$12384 := F(12) \times (F(3) + 84)$
$12672 := F(12) \times F(6) \times (F(7) - 2)$
$12816 := F(12) \times (81 + F(6))$
$13247 := -1 + F(3) \times F(24)/7$
$13520 := F(1 \times 3) \times (-5 + F(20))$
$13530 := F((1+3) \times 5) \times F(3) + 0$

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$13543 := 13 + F(5 \times 4) \times F(3)$
$13747 := F(13) \times (F(7) \times 4 + 7)$
$13776 := (F(13) + F(7)) \times 7 \times F(6)$
$13823 := -1 + (3 \times F(8-2))^3$
$13824 := ((1+3+8) \times 2)^{F(4)}$
$14179 := 1 + 417 \times F(9)$
$14326 := F(14) \times (32+6)$
$14373 := F(14+3) \times (7 + F(3))$
$14739 := (-1 + 4 \times F(7))^3/9$
$15448 := F((1+5) \times 4)/F(4) - 8$
$15456 := F((1+5) \times 4)/(-5 + F(6))$
$15616 := -1 + 5^6 - 1 \times F(6)$
$15625 := 1 \times 5^{F(6)}/25$
$15627 := 1 + 5^6 + F(2)^{F(7)}$
$15634 := 1 \times 5^6 + 3 \times F(4)$
$15635 := 1 \times 5^6 + F(3) \times 5$
$15636 := 1 \times 5^6 + 3 + F(6)$
$15637 := 1 + 5^6 - F(3) + F(7)$
$15647 := 1 + 5^6 + F(4) \times 7$
$15648 := -1 + 5^6 + F(4) + F(8)$
$15673 := -1 + 5^6 + 7^{F(3)}$
$15692 := -1 + 5^6 + F(9) \times 2$
$15693 := 1 \times 5^6 + F(9) \times F(3)$
$15696 := -1 + 5^6 + 9 \times F(6)$
$15855 := F(15) \times (F(8) + 5) - 5$
$16347 := -1 - 6^{F(3)} + 4^7$
$16368 := -16 + F(3)^{6+8}$
$16371 := -F(1+6) + F(3)^{F(7)+1}$
$16372 := -1 \times 6 + F(3)^{F(7)} \times 2$
$16373 := 1 - 6 + F(3)^{F(7)} \times F(3)$
$16378 := -1 \times 6 + F(3)^{-7+F(8)}$
$16779 := F(16) \times ((F(7) + F(7)) - 9)$
$16794 := -F(1+6) + 7^{9-4}$
$16807 := (1+6)^{-8+F(07)}$
$16815 := F(1 \times 6) + (8-1)^5$
$16847 := -1 + 6^{8-4} \times F(7)$
$16863 := F(16) + (F(8) \times 6)^{F(3)}$
$17239 := 1 + F(7)^2 \times 3 \times F(9)$
$17399 := (1+7)^3 \times F(9) - 9$
$17564 := F(17) \times (5+6) - F(4)$
$17568 := (-1 + F(7)^{-5+F(6)}) \times 8$
$17583 := 1 \times 7 + (5 + F(8))^3$
$17584 := 1 + 7 + (5 + F(8))^{F(4)}$
$17622 := -F(17-6) + F(22)$
$17697 := -1 - F(7) + F(6+9+7)$
$17728 := 17 + F(7 \times 2 + 8)$
$17849 := -1 + (F(7) + 8^{F(4)}) \times F(9)$
$17947 := F(17) - F(9) + 4^7$
$18079 := F(18) \times 07 - 9$
$18177 := -F(18) + F(17) \times F(7)$
$18473 := F((18-4)) \times (7^{F(3)})$
$18496 := (F(1+8) \times 4)^{F(9-6)}$
$18523 := 1 + F(8)^{5-2} \times F(3)$
$18970 := (-1 + 8 \times F(9)) \times 70$
$19278 := 1 \times F(9) \times 27 \times F(8)$
$19279 := 1 + 9^2 \times 7 \times F(9)$
$19652 := 1 \times F(9)^{F(6)-5}/2$
$19653 := 1 + F(9)^{F(6)-5}/F(3)$
$19772 := -1 + 9 \times F(7) \times F(7)^2$
$19773 := 1 \times 9 \times F(7)^{F(7-3)}$
$19774 := 1 + 9 \times F(7)^{7-4}$
$20295 := F(20) \times F(2) \times F(9-5)$
$20304 := (F(20) + 3) \times F(04)$
$20329 := F(20) \times 3 \times F(2) + F(9)$
$20347 := F(20) \times 3 + 4 \times F(7)$
$20439 := F(20) \times F(4) + F(3+9)$
$20484 := (F(20) + F(4) \times F(8)) \times F(4)$
$20692 := 20 + F(6) \times F(9 \times 2)$
$20736 := (-F(2) + F(07))^{-F(3)+6}$
$21762 := F(21) + (F(7) \times F(6))^2$
$21837 := (F(21) - F(8)) \times F(3) - F(7)$
$21953 := F(2) + (-1 + F(9) - 5)^3$
$21954 := 2 + (-1 + F(9) - 5)^{F(4)}$
$22135 := 2 \times F(21) + 3^5$
$22528 := (2+2)^5 \times (F(2) + F(8))$

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$23744 := F(23) - (F(7)+4)^{F(4)}$
$24574 := -2 - (F(4)-5)^{F(7)} \times F(4)$
$24577 := F(2) + F(4) \times (-5+7)^{F(7)}$
$26236 := (-2+6) \times (-2+3^{F(6)})$
$26246 := 2 + 6^2 \times F(4)^6$
$26248 := (-2+6) \times (F(2) + F(4)^8)$
$26984 := -2 \times F(6) + (9+F(8))^{F(4)}$
$27634 := 2 \times (-7 + (F(6) \times 3)^{F(4)})$
$27644 := 2^7 \times 6^{F(4)} - 4$
$27945 := (-2 + F(7) \times 9) \times F(4)^5$
$28226 := 2 + F(8)^2 \times 2^6$
$28562 := F(2) + (8+5)^{6-2}$
$28563 := 2 + (8+5)^{F(6)/F(3)}$
$28574 := F(2) \times (8+5) + F(7)^4$
$28584 := 2 + F(8) + (5+8)^4$
$28629 := -28 + F(-6+29)$
$28728 := (-2+F(8)) \times 72 \times F(8)$
$28823 := -2 + 8 \times F(8) + F(23)$
$28928 := 2^8 \times (92 + F(8))$
$29184 := (2 + F(9+1)) \times 8^{F(4)}$
$29466 := (-2 + F(9)^{F(4)}/F(6)) \times 6$
$29522 := (-F(2) + 9^5)/2 - 2$
$29523 := (F(2) + 9^5)/2 - F(3)$
$29525 := (F(2) + 9^5)/F(-2+5)$
$29537 := (-F(2) + 9^5)/F(3) + F(7)$
$29584 := (2 + F(9) \times 5)^{8/4}$
$29644 := F(29-6) + F(4 \times 4)$
$29793 := 2 + (9 + F(7) + 9)^3$
$31248 := 31 \times (F(2^4) + F(8))$
$31256 := F(3) \times (1 + 2 + 5^6)$
$31757 := -F(31-7) + 5^7$
$31944 := (3+19)^{F(4)} \times F(4)$
$32734 := F(3)^{2+F(7)} - 34$
$32757 := F(3) + (F(2)+7)^5 - F(7)$
$32773 := F(3)^{2+F(7)} + 7 - F(3)$
$32774 := F(3) \times (2^{7+7} + F(4))$
$32776 := F(3) \times 2^{7+7} + F(6)$
$32781 := F(3)^{2+F(7)} + F(8-1)$
$32796 := F(3)^{2+F(7)} + F(9) - 6$
$32798 := F(3)^{2+F(7)} + 9 + F(8)$
$32844 := 3 \times (2 + F(84/4))$
$32877 := 3 \times (F(28-7) + F(7))$
$33792 := F(3)^{3+7} \times (F(9) - F(2))$
$33825 := (F(3)+3) \times F(8/2 \times 5)$
$34742 := F(3) \times (4^7 + F(4^2))$
$34974 := 3 \times (-4 + F(9) \times 7^{F(4)})$
$34989 := 3 + 49 \times F(8) \times F(9)$
$35934 := (-F(-3+5) + F(9))^3 - F(4)$
$35987 := -3 + 59 \times F(8+7)$
$36193 := F(3)^{F(6)} + (-1 + F(9))^3$
$36864 := F(3)^{F(6)} \times F(8 \times 6/4)$
$37196 := (3^7 + 1) \times (9 + F(6))$
$37347 := -F(3) + F(7)^3 \times (4 + F(7))$
$37439 := F(3) \times F(7)^4 - 3^9$
$37522 := 3 + (F(7) + F(5^2))/2$
$37523 := (3 \times 7 + F(5^2))/F(3)$
$37632 := 3 \times (7 \times F(6) \times F(3))^2$
$38328 := 3 \times 8 \times F(3^2 + 8)$
$38374 := -F(3) \times F(8) + (F(3) \times 7)^4$
$38845 := (-F(3)^8 + F(8)^4)/5$
$39194 := -F(3) \times F(9+1) + F(9)^{F(4)}$
$39236 := (-F(3) + F(9)^2) \times F(3+6)$
$39273 := 3 - F(9) + F(2+7)^3$
$39285 := (F(3 \times 9) - F(2) + 8)/5$
$39293 := F(3) - F(9-2) + F(9)^3$
$39294 := -3 - 9 + 2 + F(9)^{F(4)}$
$39304 := F(3 \times 9/3)^{F(04)}$
$39339 := 3^9 \times F(3) - 3 \times 9$
$43173 := F(4)^3 \times (F(17) + F(3))$
$43742 := 4 \times F(3 \times 7) - 42$
$43782 := (-4 + F(3 \times 7) \times 8)/2$
$43787 := 4 \times F(3 \times 7) + F(8)/7$
$45344 := -4^5 + F(3 \times (4+4))$

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$45346 := -4^5 + F(3) + F(4 \times 6)$
$45783 := -45 \times F(7) + F(8 \times 3)$
$46124 := -4 \times 61 + F(24)$
$46125 := F(4 \times 6) - (1+2)^5$
$46133 := F(4 \times 6) - F(13) - F(3)$
$46172 := F(4 \times 6) - (1 + F(7))^2$
$46184 := F(4 \times 6) - 184$
$46243 := F(4 \times 6) - (F(2) + 4)^3$
$46256 := F(4 \times 6) - 2 \times 56$
$46310 := F(4 \times 6) - 3 - F(10)$
$46317 := F(4 \times 6) - 3 \times 17$
$46327 := F(4 \times 6) - F(3^2) - 7$
$46335 := F(4 \times 6) + F(3) - 35$
$46370 := F(4 \times 6) + F(3 + 7 \times 0)$
$46372 := 4 + F(6^3/(7+2))$
$46373 := F(4 \times 6) + F(3) + F(7-3)$
$46374 := F(4 \times 6) + 3 + 7 - 4$
$46416 := F(4 \times 6) + F(4) \times 16$
$46431 := F(4 \times 6) + 4^3 - 1$
$46493 := F(4 \times 6) + (-4+9)^3$
$46524 := F(4 \times 6) + 52 \times F(4)$
$46692 := 4 + 6^6 + F(9) - 2$
$46698 := F(4 \times 6) + 6 \times (F(9) + F(8))$
$46993 := F(4 \times 6) + (F(9) - 9)^{F(3)}$
$48382 := 48^{F(3)} \times F(8) - 2$
$48672 := 48 \times 6 \times F(7)^2$
$48828 := ((-F(4) + 8)^8 - F(2))/8$
$49278 := (-F(4) + 9) \times (2^{F(7)} + F(8))$
$49464 := (-4 + F(9+4)) \times 6^{F(4)}$
$50653 := (50 - F(6) - 5)^3$
$52486 := -F(5-2) + F(4)^8 \times F(6)$
$52733 := 5 + (2 \times F(7))^3 \times 3$
$52743 := -5 + (2 \times F(7))^{F(4)} \times 3$
$53680 := F(5 \times 3) \times (F(6) + 80)$
$54120 := (5 + F(4)) \times 1 \times F(20)$
$54176 := (F(5 \times 4) + 1 \times 7) \times F(6)$
$54348 := (F(54/3) + 4) \times F(8)$
$54576 := (F(5 \times 4) + 57) \times F(6)$
$54795 := 5 \times F(4 \times 7)/(F(9) - 5)$
$55339 := F(5 \times 5) - 3 - 3^9$
$55342 := F(5 \times 5) - 3^{F(4)^2}$
$56448 := 56 \times (F(4 \times 4) + F(8))$
$57349 := 5 + 7 \times F(3)^{4+9}$
$57645 := 5^7 - F(6)^4 \times 5$
$58957 := -5 \times F(8) + 9^5 + F(7)$
$59049 := F(-5+9) \times F(04)^9$
$59314 := (5 + F(9))^3 - 1 - 4$
$59315 := (5 + F(9))^3 + 1 - 5$
$59318 := (5 + F(9))^3 - 1^8$
$59319 := (5 + F(9))^3 \times 1^9$
$59338 := (5 + F(9))^3 - F(3) + F(8)$
$59347 := (5 + F(9))^3 + 4 \times 7$
$59349 := (5 + F(9))^3 - 4 + F(9)$
$59383 := (5 + F(9))^3 + 8^{F(3)}$
$59392 := (-5 + F(9)) \times F(3)^{9+2}$
$59426 := F(5+9) + F(4)^{2+F(6)}$
$60945 := 60 + 9 \times F(4 \times 5)$
$61488 := 61 \times 48 \times F(8)$
$61848 := F(6) \times (F(18) \times F(4) - F(8))$
$62016 := F(6) \times (F(20) + F(16))$
$62564 := F(6)^2 + 5^6 \times 4$
$62946 := -6 - F(2 \times 9) + 4^{F(6)}$
$63164 := F(6)^{F(3)} \times F(16) - 4$
$63175 := F(6 \times (3+1)) + 7^5$
$63964 := -6^{F(3)} + (F(9) + 6)^{F(4)}$
$63994 := -6 + (-3 + 9 + F(9))^{F(4)}$
$64837 := 6 + 4 + F(8)^3 \times 7$
$64872 := 6 \times (-4 + (8 \times F(7))^2)$
$65142 := (65+1) \times F(4^2)$
$65368 := F(6)^5 \times F(3) - F(6) \times F(8)$
$65446 := -6 \times 5 \times F(4) + 4^{F(6)}$
$65468 := -F(6+5) + 4^{F(6)} + F(8)$
$65488 := -F(6) \times 5 + 4^8 - 8$
$65489 := -F(6) - 5 + 4^8 - F(9)$

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$65523 := (F(6)^5 - 5) \times 2 - 3$
$65528 := F(6)^5 \times F(5-2) - 8$
$65536 := F(6)^5 \times (5+3-6)$
$65538 := (F(6)^5 + 5) \times F(3) - 8$
$65546 := (F(6)^5 + 5) \times (-4+6)$
$65694 := 6 \times (F(5 \times 6 - 9) + F(4))$
$65746 := 6 \times 5 \times 7 + 4^{F(6)}$
$65892 := (65-8) \times F(9)^2$
$67116 := (67+1) \times F(16)$
$67184 := 6 \times F(7) \times F(18)/F(4)$
$67712 := F(6) \times (F(7) \times 7 + 1)^2$
$68913 := -F(6) + (8 + F(9) - 1)^3$
$72893 := -7 + (-2 + 8 \times F(9))^{F(3)}$
$73769 := -F(7) + (F(3)^{F(7)} + 6) \times 9$
$73963 := -7 \times 3 + (F(9) \times F(6))^{F(3)}$
$74379 := 7 \times F(4) + 3^7 \times F(9)$
$74694 := F(7)^{-F(4)+6} \times F(9) - 4$
$74698 := F(7)^{F(4)} \times F(6) \times F(9)/8$
$74872 := 7^{F(4)} + (F(8) \times F(7))^2$
$74938 := F(7)^4 + 9 + F(3 \times 8)$
$74996 := (F(7)^{F(4)} + 9) \times F(9) - F(6)$
$75169 := F(7+5) + F(16+9)$
$75625 := 75 \times F(6) + F(25)$
$75647 := 7 + F(5 \times 6)/(4+7)$
$76464 := (7 \times F(6) + F(4)) \times 6^4$
$76594 := 7 \times (F(6 \times 5 - 9) - 4)$
$76832 := -7^6 + F(8)^{F(3) \times 2}$
$78125 := (F(7) - 8)^{1 \times 2 + 5}$
$81796 := ((F(8)+1) \times F(7))^{F(9-6)}$
$82937 := (8 \times (2 + F(9)))^{F(3)} - 7$
$82944 := (-8 - 2 + F(9))^4/4$
$83232 := 8 \times (F(3^2) \times 3)^2$
$83328 := ((F(8) \times 3)^{F(3)} - F(2)) \times F(8)$
$85184 := (F(8) + 5 + 18)^{F(4)}$
$85224 := 8 \times (5 + 22^{F(4)})$
$85742 := -8 + (5 \times 7)^{F(4)} \times 2$
$85848 := F(8) \times ((-5 + F(8))^{F(4)} - 8)$
$86184 := F(8) \times (F(6) + 1 \times 8^4)$
$86528 := (8 \times (F(6) + 5))^2 \times 8$
$87568 := 8 \times F(7 \times 5 - 6 - 8)$
$87820 := -F(8) + F(7) \times (-8 + F(20))$
$89712 := 89 \times 7 \times F(12)$
$91125 := (F(9) + 11)^{-2+5}$
$91145 := 9 + F(11) \times 4^5$
$93393 := (F(9)^{F(3)} - 3) \times 9^{F(3)}$
$93628 := (9 \times F(3+6))^2 - 8$
$93633 := (9 \times F(3+6))^{F(3)} - 3$
$93636 := (9 \times F(3+6))^{F(-3+6)}$
$97333 := (-9 + F(7+3))^3 - 3$
$97336 := (-9 + F(7+3))^{-3+6}$
$97344 := 9 \times F(7)^{F(3)} \times 4^{F(4)}$
$97417 := (9 + F(7) \times 4) \times F(17)$
$97682 := (F(9) \times F(7))^{-6+8}/2$
$98192 := F(9) \times 8 \times (19^2)$
$98376 := (-9 + F(8)) \times (F(3)^{F(7)} + 6)$
$98514 := 9 \times F((85-1)/4)$
$98784 := 98 \times 7 \times F(8+4)$
$98974 := F(9) \times (F(8) \times F(9) + F(7)^{F(4)})$
$99223 := (9 \times (F(9) + F(2)))^2 - F(3)$
$99225 := (9 \times (F(9) + F(2)))^{F(-2+5)}$

5.2.2 With Factorial

$123 := F(12) - F(F(3!))$
$126 := (1+2)! \times F(F(6))$
$231 := -2 + F(F(3!+1))$
$233 := F(F(2) + 3! + 3!)$
$248 := 2^{F(F(4)!)} - 8$
$264 := 2^{F(6)} + F(F(4)!)$
$315 := F(F(3!)) \times 15$
$335 := -F(F(3)) + (F(3!))!/5!$

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362 : $= F(3) + 6!/2$
364 : $= (F(3!) + 6!)/F(F(4))$
420 : $= F(F(F(4)!)) \times 20$
438 : $= -F(4) + F(F(3!)) \times F(8)$
440 : $= F(F(F(4)!))^{F(F(4))} - 0!$
480 : $= 4! \times (F(8) - 0!)$
775 : $= -F(F(7)) + 7!/5$
842 : $= F(F(8))/F(F(4)! + F(2))$
987 : $= F(9!/8! + 7)$
1024 : $= (1 + 0!)^{2+F(F(4)!)}$
1035 : $= F(10) \times F(F(3!)) - 5!$
1045 : $= F(10) \times (4! - 5)$
1260 : $= F(F((1 + 2)!)) \times 60$
1296 : $= F(12) \times 9!/F(6)!$
1345 : $= 1 + F(3!)!/(F(4)! \times 5)$
1352 : $= F(-1 + F(F(3!)))/5 - F(2)$
1353 : $= F(-1 + F(F(3!)))/(5 \times F(F(3)))$
1354 : $= F(-1 + F(F(3!)))/5 + F(F(F(4)))$
1435 : $= (-1 + F(4)) \times 3!! - 5$
1470 : $= 1 \times F(F(F(4)!)) \times 70$
1477 : $= 1 + F(4)! \times (F(F(7)) + F(7))$
1493 : $= (-1 + F(F(4)!)!/9)/3$
1560 : $= 1 \times 5! \times F(F(6) - 0!)$
1575 : $= 15 + F(7) \times 5!$
1603 : $= F(16 + 0!) + 3!$
1631 : $= F(F(1 + 6)) \times (3! + 1)$
1664 : $= -16 + F(6)!/4!$
1679 : $= -1 + F(6)!/(F(7) - 9)!$
1686 : $= F(16) - F(8) + 6!$
1734 : $= 17^{F(3)} \times F(4)!$
1823 : $= -1 + (F(F(8)) - 2)/3!$
1824 : $= (-1 + F(F(8)) - F(2))/F(4)!$
1862 : $= F(18) - 6! - 2$
1863 : $= F(18) - 6! - F(F(3))$
1864 : $= F(18) - (6 - F(4))!!$
1920 : $= (-1 + 9)!/F(F((2 + 0!)!))$
2208 : $= F((2 + 2)!)/F(08)$
2214 : $= (F(22) + 1)/F(F(4)!)$
2310 : $= 2 \times F(F(3!)) \times F(10)$
2317 : $= (2 \times 3)! + F(17)$
2330 : $= (2 + F(3!)) \times F(F(3! + 0!))$
2540 : $= (F(2) + 5!) \times F(F(F(4)!)) - 0!$
2583 : $= -F(2) + F((-5 + 8) \times 3!)$
2640 : $= (F(2) + F(F(6))) \times (4 + 0!)!$
2648 : $= 2 + F(F(6)) \times F(4)! \times F(8)$
2687 : $= -F(2) + F(6)!/(8 + 7)$
2735 : $= -F(2) - 7! + 3!^5$
2748 : $= -2^{F(7)} - F(4)! + F(F(8))$
2795 : $= (-F(2) + 7!/9) \times 5$
2796 : $= 2 \times F(F(7)) \times (9 - 6)!$
2835 : $= (F(2) + 8)!/(F(3!) + 5!)$
2946 : $= (2^9 - F(F(F(4)!))) \times 6$
3087 : $= F(F(3!)) \times (0 + F(8)) \times 7$
3127 : $= (F(3!))!/12 - F(F(7))$
3150 : $= F(F(3!)) \times 150$
3155 : $= (F(F(3!)) + F(15)) \times 5$
3173 : $= ((F(3) \times F(17)) - F(F(3!)))$
3240 : $= 3!!/2 \times (F(F(4)!) + 0!)$
3257 : $= (3^2)!/5! + F(F(7))$
3312 : $= (F(3) + F(F(3!))) \times F(12)$
3375 : $= 3 \times (-F(3!) + F(F(7))) \times 5$
3429 : $= (F(F(3!)) + F(4)!!/2) \times 9$
3435 : $= -F(F(3!)) + 4! \times 3!!/5$
3460 : $= -(F(3!))! + 4 \times (F(F(F(6))) - 0!)$
3492 : $= 3 \times (F(F(4)!) + F(9)^2)$
3580 : $= 3!! \times 5 - F(8) + 0!$
3640 : $= (F(3!) + 6!) \times (4 + 0!)$
3647 : $= 3! \times F((F(F(6)) - F(4)!)) - F(7)$
3648 : $= (-F(3) + F(F(6))) \times 4! \times 8$
3649 : $= (F(F(3)) + F(F(F(6))))/(-F(4)! + 9)$
3653 : $= 3^6 \times 5 + F(3!)$
3658 : $= -F(3) + 6 \times F(5!/8)$
3694 : $= -F(F(F(3!))) + F(6 + 9) \times 4!$
3720 : $= F(3!) \times (F(F(7)) \times 2 - 0!)$
3730 : $= F(3) \times (F(F(7)) \times F(3!) + 0!)$
3770 : $= (3 + 7) \times F(F(7) + 0!)$
3856 : $= F(3)^8 + 5 \times 6!$
3927 : $= (F(3!) + 9) \times (-2 + F(F(7)))$
3935 : $= (3^9 - F(3!))/5$
3960 : $= (-F(F(3)) + F(9)) \times (6 - 0!)!$

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3961 : $= (F(3!)+9)\times F(F(6+1))$
3968 : $= F(3!)\times(9!/6!-8)$
4080 : $= (4+0!)!\times F(8+0!)$
4128 : $= (F(4!)+(F((1+2)!))!)/F(8)$
4147 : $= -F(F(F(4)!)+1)+F(F(4)!+F(7))$
4160 : $= -F(F(F(4)!))+F(-1+F(F(6))-0!)$
4180 : $= F(-F(4-1)+F(8))-0!$
4181 : $= F((4-1)!+F(8-1))$
4190 : $= F(F(4)!)+F(19)+0!$
4193 : $= F(4)!+F(19)+3!$
4196 : $= F(4)!+F(19)-F(F(6))$
4200 : $= F(F(F(4)!))\times 200$
4310 : $= F(4)!\times 3!!-10$
4319 : $= F(4)!\times 3!!-1^9$
4340 : $= F(F(F(4)!))+3!!\times F(4)!-0!$
4365 : $= F(4)!!+3^6\times 5$
4378 : $= -F(4)^{F(3!)}-7+F(F(8))$
4394 : $= (-F(4)!!+(F(3!))!)/9-F(4)!$
4395 : $= (-F(4)!!+(F(3!)!))/9-5$
4399 : $= (-F(4)!!+(F(3!))!-9)/9$
4410 : $= F(F(F(4)!))^{F(F(4))}\times 10$
4428 : $= (F(4!)-F(F(F(F(4)!)))+2)/8$
4430 : $= -F((F(F(F(4)!))-F(4)!))+(3!+0!)!$
4440 : $= F(4)!\times F(4)!!+(4+0!)!$
4450 : $= F(F(4)+F(F(4)!))\times 50$
4452 : $= -F(F(F(4)!))\times(F(F(F(4)!))-F(F(5+2)))$
4459 : $= -F(F(F(4)!))+(F(4)+5)!/9$
4472 : $= -F(F(4)!)+(F(F(4)!))!/(7+2)$
4475 : $= F(F(4)!)!/(-4+F(7))-5$
4479 : $= -F(F(F(4)))+F(F(4)!)\times 7!/9$
4497 : $= 4+(F(F(4)!))!/9+F(7)$
4560 : $= -4\times 5!+(F(6)-0!)!$
4563 : $= F(4)^5+6!\times 3!$
4569 : $= F(F(4)!+5)+F(6)!/9$
4636 : $= (F(4!)-F(6))/(F(3)+F(6))$
4637 : $= -F(F(4))^{F(6)}+F(F(3!))\times F(F(7))$
4647 : $= (F(F(4)!)\times F(F(F(6))-F(4)!))-F(F(7))$
4660 : $= -(F(F(F(4)))-F(F(6)))\times F(F(F(6)-0!))$
4672 : $= -F(F(4)!)+6!\times F(7)/2$
4736 : $= (-F(F(4))^7+3!!)\times F(6)$
4740 : $= (4+F(F(7)))\times(F(F(F(4)!))-0!)$
4780 : $= (F(4)!+F(F(7)))\times(F(8)-0!)$
4800 : $= F(4)!\times 800$
4870 : $= -4!+F(8)\times F(F(7))+0!$
4871 : $= -F(F(4)!)\times F(8)+7!-1$
4874 : $= -F(F(4)!)\times F(8)+7!+F(F(4))$
4892 : $= F(4!)-8!-F(9)^2$
4960 : $= -F(4)!!/9+(F(6)-0!)!$
4967 : $= -F(F(F(4)))-9\times F(6)+7!$
4970 : $= (-F(F(4))+9)!-70$
4987 : $= F(F(4))-F(9)-F(8)+7!$
5149 : $= -F(5-1)+F(4!)/9$
5280 : $= 5!\times 2\times(F(8)+0!)$
5332 : $= -5!-F(F(3!))+F(F(F(3!)))/2$
5336 : $= (-53+3!!)\times F(6)$
5346 : $= (-5\times 3!!+F(4!))/F(6)$
5376 : $= (5!+F(3!))\times 7\times 6$
5384 : $= -F(5+3!)+F(F(8))/F(F(4))$
5413 : $= (-5!+F(F(F((4-1)!))))/F(3)$
5417 : $= F(5\times F(4)-1)+7!$
5434 : $= (-5!+F(F(F(F(4)!))))/F(3)+F(F(F(4)!))$
5438 : $= (5!+F(F(4)!))^{F(3)}-F(F(8))$
5462 : $= -5-F(4)!+F(F(F(6)))/2$
5488 : $= (5!+4\times F(F(8)))/8$
5533 : $= (5!+F(F(5+3)))/F(3)$
5653 : $= 5!+(F(F(F(6)))+5!)/F(3)$
5674 : $= F(5!/F(6))+7!+4!$
5738 : $= 5+F(7)\times F(F(3!))\times F(8)$
5796 : $= F((5-F(-7+9))!)/F(6)$
5874 : $= 5!+8!/7-F(4)!$
5877 : $= -5+F(F(8))/F(7)+7!$
5949 : $= (-59+F(4)!!)\times 9$
6036 : $= F(F(F(6))-0!)-3^6$
6048 : $= F(6\times 04)-8!$
6084 : $= (6\times F(-0!+8))^{F(F(4))}$
6193 : $= 6!+F(F(-1+9))/F(3)$
6392 : $= -F(6)+(3!!/9)^2$
6394 : $= -6+(3!!/9)^{F(F(4))}$
6408 : $= (6!-F(F(4)!))\times(0!+8)$
6432 : $= (6!+4!!/(F(F(3!)))!)/2$

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$6433 := (F(6)!/F(F(F(4)!)) + F(F(F(3!))))/F(3)$
$6436 := F(F(F(6))) - F(4!)/3 + F(F(F(6)))$
$6456 := 6^{F(4)!} + 5! - F(6)!$
$6472 := F(6) \times (F(4)!! + F(F(7) - 2))$
$6477 := (F(6)! - F(F(F(4)!)) + 7!)/7$
$6490 := (6! + F(F(F(4)))) \times 9 + 0!$
$6493 := F(F(F(6))/F(4)) + 9 \times 3!!$
$6498 := (6! + F(F(4))) \times 9!/8!$
$6560 := (F(6) - 5)^{F(6)} - 0!$
$6660 := F(6)!/6 - 60$
$6684 := -6 \times 6 + 8!/F(4)!$
$6715 := F(6)!/(7 - 1) - 5$
$6760 := F(6) - F(7) + F(F(F(6)) - 0!)$
$6770 := 6 + F(F(7) + 7) - 0!$
$6780 := F(6) + 7 + F(F(8) - 0!)$
$6833 := 68 + F(-F(F(3)) + F(F(3!)))$
$6850 := F(F(F(6))) - 8^{5-0!}$
$6930 := 6 \times (F(9)^{F(3)} - 0!)$
$6944 := F(6) + F(9)^{F(F(4))} \times F(4)!$
$7203 := 7^{2+0!} \times F(F(3!))$
$7246 := 7! - 2 + F(4!)/F(F(6))$
$7248 := 7! + F(24)/F(8)$
$7349 := F(7)^3 + F(4!)/9$
$7350 := 7 \times F(F(3!)) \times 50$
$7357 := F(7)^3 + 5! + 7!$
$7365 := -F(F(7)) \times 3 + F(6)!/5$
$7434 := (7!/4 - F(F(3!))) \times F(4)!$
$7488 := F(7)!/((-F(4)!! + 8!) \times F(8))$
$7618 := 7! - 6 + F(18)$
$7632 := (F(F(7)) - F(F(6)))) \times 3!^2$
$7633 := (7! + F(F(F(6))) - 3!!)/F(3)$
$7784 := 7! + (-7 + F(8))^{F(4)}$
$7793 := F(F(7)) + 7! \times 9/3!$
$7831 := -F(F(7)) + 8!/(3! - 1)$
$7855 := -F(F(7)) + (8! + 5!)/5$
$8063 := 8!/(-0! + 6) - F(F(3))$
$8085 := F(8) + 08!/5$
$8092 := (8 - 0!) \times F(9)^2$
$8145 := 81 + (F(F(4)!))!/5$
$8317 := 8!/3! + F(17)$
$8364 := F(F(8)) + F(3) - F(-6 + 4!)$
$8445 := 8!/4! + F(4 \times 5)$
$8642 := F(F(8)) - (F(6) \times F(4)!)^2$
$8644 := (8 + 6! \times 4!)/F(F(4))$
$8738 := F(F(8)) - F((7 - 3)!)/F(8)$
$8743 := F(F(8)) - F(7)^{F(4)} + 3!$
$8749 := F(F(8)) - F(7)^{-F(4)!+9}$
$8833 := (F(F(8)) + 8!/3!)/F(3)$
$8947 := 8!/9 \times F(F(4)) - F(7)$
$8974 := (8!/9 + 7) \times F(F(4))$
$9239 := F(9)^2 \times F(3!) - 9$
$9244 := F(9)^2 \times F(F(4)!) - 4$
$9353 := (F(9 \times 3) - 5)/F(F(3!))$
$9370 := 9 + 3!! \times F(7) + 0!$
$9450 := 9 \times F(F(F(4)!)) \times 50$
$9938 := -(9! + 9!)/3!! + F(F(8))$

5.3 Reverse Order of Digits

5.3.1 Basic Operations

$34 := F(F(4)^{F(3)})$
$36 := 6^{F(3)}$
$63 := 3 \times F(F(6))$
$64 := F(F(4))^6$
$84 := 4 \times F(8)$
$143 := F(3 \times 4) - 1$
$144 := F(4 \times (4 - 1))$
$168 := F(8) \times F(6) \times 1$
$189 := 9 \times F(8) \times 1$
$231 := F(13) - 2$
$233 := F(F(3 \times 3 - 2))$
$234 := F(F(4 + 3)) + F(2)$

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$235 := F(F(5+F(3)))+2$
$237 := F(F(7))+F(3)+2$
$243 := 3^{F(4)+2}$
$256 := (F(F(6))-5)^2$
$267 := F(F(7))+F(F(6)+F(2))$
$374 := -F(4)+F(7\times F(3))$
$376 := F(F(F(6))-7)-F(F(3))$
$377 := F(-7+7\times 3)$
$378 := F(F(8)-7)+F(F(3))$
$438 := F(8)^{F(3)}-F(4)$
$466 := F(-F(6)+F(F(6)))\times F(F(4))$
$472 := 2\times(F(F(7))+F(4))$
$693 := -(((F(F(3))-F(9))\times F(F(6))))$
$882 := 2\times F(8)\times F(8)$
$986 := (F(6)+F(8))\times F(9)$
$1165 := 5\times F(F(6\times 1+1))$
$1175 := 5\times(F(F(7))+1+1)$
$1178 := F(8)+F(7)\times F(11)$
$1292 := F(2\times 9)/2\times 1$
$1293 := F(F(3)\times 9)/2+1$
$1367 := F(F(7))\times 6-31$
$1397 := F(F(7))\times(9-3)-1$
$1536 := F(6)^3\times F(5-1)$
$1546 := F(F(F(6))-4)-51$
$1576 := F(F(6))\times 75+1$
$1589 := F(9+8)-F(5+1)$
$1594 := -F(4)+F(9+F(5+1))$
$1596 := F(F(6)+9)-F(F(F(5-1)))$
$1597 := F(F(7)+9-5\times 1)$
$1598 := F(F(8)-9+5)+1$
$1618 := F(8)+F(16+1)$
$1631 := F(13)\times(6+1)$
$1684 := F(F(4))\times F(F(8))/F(6+1)$
$1687 := (F(F(7))+8)\times(6+1)$
$1764 := 4\times F(F(6))\times F(7+1)$
$1778 := (F(8)+F(F(7)))\times 7\times 1$
$1847 := (F(F(7))-F(F(4)))\times 8-1$
$1848 := 84\times(F(8)+1)$
$1856 := F(6)\times(F(5+8)-1)$
$1862 := -2+F(6)\times F(F(8-1))$
$1863 := (F(3)+F(F(6)))\times 81$
$1864 := (F(F(4))+6)\times F(F(8-1))$
$1865 := F(5+F(6))\times 8+1$
$1871 := (1+F(F(7)))\times 8-1$
$1872 := (F(2)+F(F(7)))\times 8\times 1$
$1873 := (F(F(3))+F(F(7)))\times 8+1$
$1877 := F(7)+F(F(7))\times 8\times 1$
$1885 := 5\times F(F(8)-8+1)$
$1897 := 7\times(F(9)\times 8-1)$
$1925 := F(5\times 2)\times(F(9)+1)$
$1972 := 2\times(F(7+9)-1)$
$1972 := 2\times(F(7+9)-1)$
$1973 := F(3)\times F(7+9)-1$
$1974 := F(F(4))\times F(7+9\times 1)$
$2079 := 9\times(F(F(7))-02)$
$2097 := F(F(7))\times(9+0\times 2)$
$2176 := -F(F(6))+F(7)^{1+2}$
$2197 := F(7)^{9/(1+2)}$
$2296 := (-F(6)+F(9)^2)\times 2$
$2478 := F(8)\times(F(F(7))+F(4))/2$
$2529 := F(9\times 2)-F(5\times 2)$
$2563 := (3+F(6))\times F(F(5+2))$
$2576 := -F(6)+F(-7+5^2)$
$2577 := -7+F(-7+5^2)$
$2578 := -8+F(F(7)+5)+2$
$2581 := (F(18)-5+2$
$2581 := F(18)-5+2$
$2582 := -2+F(8+5\times 2)$
$2583 := F(-3+F(8))-F(F(5-2))$
$2584 := F((-4+8)\times 5-2)$
$2585 := F(5+8+5)+F(2)$
$2586 := F(6\times(8-5))+2$
$2592 := F(2\times 9)+F(5+F(2))$
$2594 := F(F(F(4))\times 9)+5\times 2$
$2597 := F(7)+F(9\times F(5-2))$
$2639 := F(9\times F(3))+F(F(6)+2)$
$2645 := 5\times(F(F(4))+F(F(6)))^2$
$2646 := F(6\times F(4))+62$
$2648 := F(F(8)-F(4))+F(6)^2$
$2667 := (F(F(7))+F(F(6)))\times F(F(6))/2$

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2688 $:= 8 \times F(8) \times F(6) \times 2$
2688 $:= 8 \times F(8) \times F(6) \times 2$
2704 $:= (4 \times F(07))^2$
2704 $:= (4 \times F(07))^2$
2736 $:= (F(F(6)) - F(3)) \times F(F(7) - F(2))$
2784 $:= (4+8) \times (F(F(7)) - F(2))$
2794 $:= (F(4)+9) \times F(F(7)) - 2$
2796 $:= (F(F(6)) - 9) \times F(F(7) \times F(2))$
2798 $:= (F(8) - 9) \times F(F(7)) + 2$
2817 $:= F(F(7)) + F((1+8) \times 2)$
2937 $:= (F(F(7) - F(3))) \times (F(9) - F(2))$
3025 $:= F(5 \times 2)^{F(03)}$
3025 $:= F(5 \times 2)^{F(03)}$
3087 $:= 7 \times F(8)^{F(03)}$
3087 $:= 7 \times F(8)^{F(03)}$
3136 $:= (F(F(6) + F(3)) + 1)^{F(3)}$
3249 $:= (F(9 + F(F(F(4)))) + 2)^{F(3)}$
3364 $:= (F(4+6) + 3)^{F(3)}$
3364 $:= (F(4+6) + 3)^{F(3)}$
3372 $:= (2 + F(7))^3 - 3$
3372 $:= (2 + F(7))^3 - 3$
3373 $:= (F(3) + F(7))^3 - F(3)$
3374 $:= (F(F(4)) + F(7))^3 - F(F(3))$
3376 $:= (F(6) + 7)^3 + F(F(3))$
3381 $:= (F(-1 + F(8)) - 3)/F(3)$
3382 $:= (-F(2) + F(F(8) - F(F(3))))/F(3)$
3383 $:= (F(F(3)) + F(F(8) - F(F(3))))/F(3)$
3384 $:= (F(4) + F(F(8) - F(F(3))))/F(3)$
3385 $:= (5 + F(F(8) - F(F(3))))/F(3)$
3495 $:= 5 \times F(9+4) \times 3$
3495 $:= 5 \times F(9+4) \times 3$
3528 $:= F(8)^2 \times (5+3)$
3528 $:= F(8)^2 \times (5+3)$
3569 $:= F(9) \times F(F(6)) \times 5 - F(F(3))$
3575 $:= 5 \times F(7) \times F(5 \times F(3))$
3628 $:= -F(8) + (F(2) + F(F(F(6))))/3$
3635 $:= 5 \times (3^6 - F(3))$
3635 $:= 5 \times (3^6 - F(3))$
3639 $:= -9 + (-F(3) + F(F(F(6))))/3$
3644 $:= -4 + (-F(F(4)) + F(F(F(6))))/3$
3645 $:= 5 \times (F(4)+6)^3$
3645 $:= 5 \times (F(4)+6)^3$
3646 $:= (F(F(F(6))) - F(F(4)) - 6)/3$
3647 $:= (-7 + F(F(4)) + F(F(F(6))))/3$
3648 $:= (F(F(8)) - F(F(4)))/(6-3)$
3649 $:= (F(F(9/F(4))) + F(F(F(6))))/3$
3652 $:= (2 \times 5 + F(F(F(6))))/3$
3653 $:= (F(F(3)+5) + F(F(F(6))))/3$
3664 $:= (46 + F(F(F(6))))/3$
3666 $:= 6 \times (F(-6 + F(F(6))) + F(F(3)))$
3694 $:= (4 \times F(9) + F(F(F(6))))/3$
3718 $:= (F(8)+1) \times F(7)^{F(3)}$
3718 $:= (F(8)+1) \times F(7)^{F(3)}$
3726 $:= F(6) \times 2 \times F(F(7)) - F(3)$
3728 $:= 8 \times F(F(2) \times F(7)) \times F(3)$
3736 $:= F(6) \times (F(3) \times F(F(7)) + F(F(3)))$
3738 $:= F(8) \times F(3) \times F(F(7) - F(3))$
3744 $:= F(F(4) \times 4) \times F(7) \times F(3)$
3786 $:= 6 \times (F(8) + F(F(7) + F(3)))$
3789 $:= 9 \times F(F(8))/(F(7) \times F(3))$
3796 $:= (F(F(F(6))) + F(9) \times F(7))/3$
3844 $:= (-F(F(F(4))) + F(4) \times F(8))^{F(3)}$
3864 $:= -4 \times (F(F(6)) - F(8 \times F(3)))$
3927 $:= (F(F(7)) - 2) \times F(9)/F(3)$
3948 $:= F(F(8) - F(F(4))) - F(F(9 - F(3)))$
3961 $:= F(F(1+6)) \times F(9)/F(3)$
3966 $:= F(F(6)) \times F(F(6)) \times 9 - 3$
3968 $:= F(8) \times F(F(6)) \times 9 - F(F(3))$
3969 $:= (9 \times 6 + 9)^{F(3)}$
3969 $:= (9 \times 6 + 9)^{F(3)}$
3979 $:= F(9) \times F(7) \times 9 + F(F(3))$
3999 $:= (9 + F(9)) \times 93$
3999 $:= (9 + F(9)) \times 93$
4096 $:= F(6)^{9 \times 0 + 4}$
4096 $:= F(6)^{9 \times 04}$
4147 $:= (7+4) \times F(14)$
4147 $:= (7+4) \times F(14)$

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$4167 := F(F(7)+6)-14$
$4176 := F(6+F(7))-1-4$
$4177 := F(F(7)+7-1)-4$
$4181 := F(18+1^4)$
$4181 := F(18+1^4)$
$4182 := F(2)+F(F(8)+1-F(4))$
$4183 := F(3)+F(F(8)+1-F(4))$
$4184 := F(4)+F(F(8)+1-F(4))$
$4277 := 7\times(F(F(7)+2)+F(F(F(4))))$
$4356 := (65+F(F(3)))^{F(F(4))}$
$4373 := 3^7\times F(3)-F(F(F(4)))$
$4374 := F(4)^7\times(-F(3)+4)$
$4374 := F(4)^7\times(-F(3)+4)$
$4378 := (-8+F(7)^3)\times F(F(4))$
$4394 := (4+9)^3\times F(F(4))$
$4427 := F(F(7))\times(-2+F(4+4))$
$4428 := (F(F(8)+F(2))+F(F(F(4))))/4$
$4455 := 55\times F(4)^4$
$4455 := 55\times F(4)^4$
$4536 := 6^3\times F(5+F(4))$
$4576 := (-F(F(6))+F(F(7))\times 5)\times 4$
$4578 := F(8)\times(F(F(7))-5\times F(4))$
$4624 := (4+2^6)^{F(F(4))}$
$4647 := F(F(7))\times F(F(4))+F(F(F(6))-F(F(4)))$
$4693 := F(3)^9+F(F(F(6))-F(F(4)))$
$4736 := F(6)^{F(3)}\times 74$
$4736 := F(6)^{F(3)}\times 74$
$4746 := F(F(6))\times(-F(4)+F(F(7))-4)$
$4765 := 5\times(F(F(6))+F(F(7))\times 4)$
$4766 := F(F(6))\times(-6+F(F(7))-F(F(F(4))))$
$4767 := (F(F(7))-6)\times 7\times F(4)$
$4768 := F(8)\times(-6+F(F(7)))+F(F(F(4)))$
$4776 := F(6)\times(-F(7)+F(F(7)+F(F(4))))$
$4781 := F(18)+F(7)^{F(4)}$
$4781 := F(18)+F(7)^{F(4)}$
$4788 := F(8)\times(-8+F(F(7))+F(4))$
$4791 := F(1+9+7)\times F(4)$
$4847 := (F(F(7))-F(F(4)))\times F(8)-4$
$4864 := F(F(4))^{F(6)}\times(F(8)-F(F(4)))$
$4871 := (-1+F(F(7)))\times F(8)-F(F(F(4)))$
$4872 := (-F(2)+F(F(7)))\times F(8)\times F(F(F(4)))$
$4873 := (-F(F(3))+F(F(7)))\times F(8)+F(F(F(4)))$
$4874 := (-F(F(F(4)))+F(F(7)))\times F(8)+F(F(4))$
$4876 := F(6)\times F(7+8)-4$
$4877 := -F(7)+F(F(7))\times F(8)-F(4)$
$4878 := 8\times F(7+8)-F(F(4))$
$4887 := F(F(7))\times F(8)-8+F(F(4))$
$4889 := F(F(9)-F(8))\times F(8)-4$
$4892 := F(F(-2+9))\times F(8)-F(F(F(4)))$
$4893 := -3+F(9)\times F(8+4)$
$4894 := -F(F(4))+F(9)\times F(8+4)$
$4896 := 6\times F(9)\times 8\times F(4)$
$4896 := 6\times F(9)\times 8\times F(4)$
$4899 := F(9)\times F(-9+F(8))+F(4)$
$4913 := (-F(3)+19)^{F(4)}$
$4935 := 5\times F(3+9+4)$
$4935 := 5\times F(3+9+4)$
$4956 := F(F(6))\times 59\times 4$
$4964 := F(4)^{F(6)}-F(F(9)/F(F(4)))$
$4987 := F(F(7))\times F(8)+94$
$4998 := F(8)\times F(9)\times(9-F(F(4)))$
$5346 := (F(F(6))+F(F(F(4))))\times 3^5$
$5376 := F(F(6))\times(F(7)+3^5)$
$5428 := F(F(8))/2-45$
$5464 := -4+F(F(F(6)))/F(F(4))-5$
$5468 := F(F(8))/(6-4)-5$
$5469 := -9+F(F(F(6)))/F(F(4))+5$
$5473 := F(3\times 7)/(-F(4)+5)$
$5473 := F(3\times 7)/(-F(4)+5)$
$5478 := F(F(8))/F(7-4)+5$
$5486 := F(6)+F(F(8))/F(F(4))+5$
$5528 := F(F(8))/2+55$
$5675 := 5\times(F(F(7))-6)\times 5$
$5679 := -9\times F(F(7))+6^5$
$5728 := F(8)^2\times F(7)-5$
$5728 := F(8)^2\times F(7)-5$
$5738 := F(8)^{F(3)}\times F(7)+5$

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$5738 := F(8)^{F(3)} \times F(7) + 5$
$5785 := 5 \times (-8 + F(F(7))) \times 5$
$5825 := 5^2 \times F(8+5)$
$5825 := 5^2 \times F(8+5)$
$6327 := -F(F(7)) - F(2) + 3^{F(6)}$
$6328 := -F(F(8-F(2))) + 3^{F(6)}$
$6394 := 4 \times F(F(9)/F(3)) + 6$
$6408 := 80^{F(F(4))} + F(6)$
$6417 := -F(F(7)-1) + F(4)^{F(6)}$
$6456 := -F(F(6)) \times 5 + F(4)^{F(6)}$
$6472 := -F(-2+F(7)) + F(4)^{F(6)}$
$6489 := -9 \times 8 + F(4)^{F(6)}$
$6489 := -9 \times 8 + F(4)^{F(6)}$
$6493 := -F(3) \times F(9) + F(4)^{F(6)}$
$6493 := -F(3) \times F(9) + F(4)^{F(6)}$
$6561 := (F(1 \times 6) - 5)^{F(6)}$
$6561 := 1 \times (F(6) - 5)^{F(6)}$
$6562 := F(2) + (F(6) - 5)^{F(6)}$
$6563 := F(3) + (F(6) - 5)^{F(6)}$
$6564 := F(4) + (F(6) - 5)^{F(6)}$
$6676 := F(F(F(6))) - 7 \times F(-6 + F(F(6)))$
$6736 := F(F(F(6)))/(F(F(3)) \times F(7)) \times F(6)$
$6744 := F(F(4)^{F(4)} - 7) - F(F(6))$
$6757 := F(F(7)) \times (5 \times 7 - 6)$
$6763 := -F(3) + F(F(F(6)) - 7 + 6)$
$6764 := (F(F(4) + F(6))) \times 76$
$6765 := F(-56 + 76)$
$6765 := F(-56 + 76)$
$6771 := F(1 \times 7 + F(7)) + 6$
$6772 := -F(2) + F(F(7) + 7) + F(6)$
$6773 := F(F(3)) \times F(F(7) + 7) + F(6)$
$6774 := F(4) + F(F(7) + 7) + 6$
$6778 := F(F(8)) + F(7) - F(F(7) + 6)$
$6784 := 4 \times (-F(8) + F(F(7))) \times F(6)$
$6786 := F(F(6)) + F(F(8) - 7 + 6)$
$6799 := F(9) + F(F(9) + 7 - F(F(6)))$
$6867 := 7 \times (-6 + F(8 + F(6)))$
$6936 := F(6+3) \times F(9) \times 6$
$6954 := F(4 \times 5) + 9 \times F(F(6))$
$6977 := -F(7) + F(F(7)) \times (9 + F(F(6)))$
$6993 := (3 + F(9)) \times 9 \times F(F(6))$
$7163 := (-F(3) + F(F(6))) \times F(1 + F(7))$
$7223 := (32 - F(2)) \times F(F(7))$
$7392 := (-2 + F(9)) \times (-F(3) + F(F(7)))$
$7448 := 8 \times (-F(F(F(4))) + 4 \times F(F(7)))$
$7456 := (F(F(6)) - 5) \times F(F(4)) \times F(F(7))$
$7458 := 85^{F(F(4))} + F(F(7))$
$7463 := -3^6 + F(F(4))^{F(7)}$
$7464 := F(-F(F(F(4))) + F(F(6))) + F(4) \times F(F(7))$
$7476 := F(F(6)) \times (7^{F(4)} + F(7))$
$7543 := (F(3) + 4)^5 - F(F(7))$
$7648 := 8 \times 4 \times (6 + F(F(7)))$
$7663 := F(F(3) \times F(6)) \times F(6) - F(F(7))$
$7689 := (F(9) - F(8-6)) \times F(F(7))$
$7697 := F(7) \times F(9+6) - F(F(7))$
$7756 := 6^5 - F(7) - 7$
$7756 := 6^5 - F(7) - 7$
$7759 := F(9) \times (-5 + F(F(7))) + 7$
$7776 := 6^{F(7)-F(-7+F(7))}$
$7865 := (-5 + F(-6 + F(8))) \times F(7)$
$7875 := 5 \times (F(F(7)) - 8) \times 7$
$7883 := F(F(3) \times 8) \times 8 - F(7)$
$7896 := F(6) \times 987$
$7896 := F(6) \times 987$
$7902 := -20 + F(9) \times F(F(7))$
$7911 := -11 + F(9) \times F(F(7))$
$7916 := -6 + 1 \times F(9) \times F(F(7))$
$7917 := F(F(7) + 1) \times (F(9) - F(7))$
$7934 := 4 \times 3 + F(9) \times F(F(7))$
$7935 := F(5 + F(3)) + F(9) \times F(F(7))$
$7937 := F(7) + F(3) + F(9) \times F(F(7))$
$7938 := 8 \times F(3) + F(9) \times F(F(7))$
$7939 := F(9)/F(3) + F(9) \times F(F(7))$
$7943 := F(F(3)^{F(4)}) + F(9) \times F(F(7))$
$7946 := 6 \times 4 + F(9) \times F(F(7))$
$7949 := 9 \times F(4) + F(9) \times F(F(7))$
$7954 := F(F(4))^5 + F(9) \times F(F(7))$

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$7957 := 7 \times 5 + F(9) \times F(F(7))$
$7964 := F(F(4)) \times F(F(6)) + F(9) \times F(F(7))$
$7974 := 4 \times F(7) + F(9) \times F(F(7))$
$7978 := 8 \times 7 + F(9) \times F(F(7))$
$7985 := 5 \times F(F(8) + 9 - F(7))$
$7986 := F(6) \times 8 + F(9) \times F(F(7))$
$8172 := 2^{F(7)} + 1 - F(8)$
$8172 := 2^{F(7)} + 1 - F(8)$
$8174 := F(F(4))^{F(7)} - 18$
$8184 := F(F(4))^{F(8-1)} - 8$
$8294 := F(F(4)) \times (-F(9) + F(-2 + F(8)))$
$8352 := 2 \times (-5 + F(-F(3) + F(8)))$
$8361 := -1 - F(6 \times 3) + F(F(8))$
$8362 := 2 \times F(F(6) + 3 + 8)$
$8363 := F(F(3)) - F(6 \times 3) + F(F(8))$
$8364 := F(F(4)) - F(6 \times 3) + F(F(8))$
$8367 := F(F(7)) \times 6^{F(3)} - F(8)$
$8368 := F(F(8)) + 6 - F(-3 + F(8))$
$8383 := F(3) \times F(F(8) - F(3)) + F(8)$
$8396 := F(F(F(6))) + F(9) - F(-3 + F(8))$
$8738 := F(F(8)) - 3^7 - F(8)$
$8759 := -F(9 - 5)^7 + F(F(8))$
$8849 := -9 \times F(F(F(F(4))) - 8)) + F(F(8))$
$8883 := (F(F(3)) + 8) \times F(8 + 8)$
$8906 := -60 \times F(9) + F(F(8))$
$8972 := -2 \times F(7 + 9) + F(F(8))$
$9248 := F(8)^{F(4)} - F(-2 + 9)$
$9248 := F(8)^{F(4)} - F(-2 + 9)$
$9349 := -F(F(9)/F(F(4))) + F(F(F(-3 + 9)))$
$9586 := F(F(F(6))) - 8 \times 5 \times F(9)$
$9756 := F(F(F(6))) - 5 \times 7 \times F(9)$
$9792 := (F(F(2) + 9) + F(F(7))) \times F(9)$
$10912 := F(21) - F(9 \times 01)$
$11125 := 5^{2+1} \times F(11)$
$11264 := (4 \times F(6))^2 \times 11$
$11664 := (F(4) \times 6 \times 6)^{1+1}$
$11837 := 7 \times (-F(3) + F(8)) \times F(11)$
$11844 := F(4) \times 4 \times F(8 \times (1 + 1))$
$12238 := F(8 \times 3)/2 - F(21)$
$12537 := (-F(7) + F(3 \times 5)) \times 21$
$12543 := 3 \times F((4 + 5) \times 2 + 1)$
$12768 := (F(8) \times 6 - F(7))^2 - 1$
$12769 := (9 + F(6) \times F(7))^2 \times 1$
$12815 := 5 \times (F(18) - 21)$
$12831 := 13 \times F(8 \times 2 \times 1)$
$12873 := 3 + F(7 + 8) \times 21$
$12915 := 5 \times (-1 + F(9 \times 2 \times 1))$
$12925 := 5 \times (F(2) + F(9 \times 2)) \times 1$
$12935 := 5 \times (3 + F(9 \times 2 \times 1))$
$12945 := 5 \times (4 + F(9 \times 2) + 1)$
$12965 := 5 \times (F(6) + F(9 \times 2) + 1)$
$13176 := 6 \times (F(7)^{1 \times 3)-1}$
$13377 := F(7) \times 7^3 \times 3 \times 1$
$13689 := (9 \times (F(8) - F(6)))^{3-1}$
$13715 := 5 \times ((1 + F(7))^3 - 1)$
$13798 := F(8) \times 9 \times 73 + 1$
$14635 := -5 + (3 + F(6))^4 - 1$
$14636 := -6 + (3 + F(6))^4 + 1$
$14759 := (9^5 - F(7))/4 \times 1$
$15251 := F(15) \times 25 + 1$
$15366 := 6 \times (F(6)^3 \times 5 + 1)$
$15488 := 8 \times 8 \times (F(4)^5 - 1)$
$15498 := F(8) \times (9 + F(4)^{5+1})$
$15544 := -F(4)^4 + 5^{5+1}$
$15563 := F(3) \times (6^5 + 5) + 1$
$15583 := -F(3) \times F(8) + 5^{5+1}$
$15591 := -1 \times F(9) + 5^{5+1}$
$15623 := -F(3) + (-F(2) + 6)^{5+1}$
$15633 := (F(3) + 3)^6 + F(5 + 1)$
$15676 := (-F(6) + F(7))^6 + 51$
$15771 := F(1 + 7) \times 751$
$15792 := 2 \times F(9 + 7) \times F(5 + 1)$
$16382 := -2 + (8/F(3))^{6+1}$
$16418 := F(8 + 1) + 4^{6+1}$
$16419 := F(9) + 1 + 4^{6+1}$
$16724 := 4 \times F(2 \times 7 + 6 - 1)$
$16739 := -F(9) \times F(3) + 7^{6-1}$

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$16752 := -F(2\times 5)+7^{6-1}$
$16758 := F(8)\times(5+F(7)\times 61)$
$16828 := F(8)+(-F(2)+8)^{6-1}$
$16926 := 62\times(F(9)\times F(6)+1)$
$17199 := 9\times 91\times F(7+1)$
$17253 := 3^5\times F(2)\times 71$
$17339 := F(9)^{F(3)}\times(F(3)+F(7))-1$
$17456 := F(6)\times(-5+F(4)^7\times 1)$
$17484 := -4+8\times(F(4)^7-1)$
$17488 := 8\times(F(8-4)^7-1)$
$17576 := F(6)\times F(7)^{-5+7+1}$
$17647 := F(7)^{F(4)}\times F(6)+71$
$17664 := F(4\times 6)\times F(6)/F(7+1)$
$17697 := F(7+9+6)-F(7)-1$
$17712 := F(21+7/7)+1$
$17725 := F(-5+27)+F(7)+1$
$18482 := 2\times(F(8)^{F(4)}-F(8)+1)$
$18592 := (-2+F(9))\times 581$
$18873 := F(3\times 7-8)\times 81$
$18954 := (F(4)^5-9)\times 81$
$19355 := 553\times(F(9)+1)$
$19656 := 6^{-5+F(6)}\times 91$
$19745 := 5\times(4\times F(7+9)+1)$
$19873 := (3^7+F(8))\times 9+1$
$19893 := 3^9+F(8)\times(9+1)$
$20193 := 3\times(-F(9)+F(10\times 2))$
$20273 := 3\times(-7+F(20))-F(2)$
$20295 := F(-5+9)\times F(20)\times F(2)$
$20296 := (-6+9)\times F(20)+F(2)$
$20485 := 5\times(8^4+F(02))$
$20886 := 6\times(-F(8)+80)^2$
$20915 := 5\times(F(19)+02)$
$21892 := F(29-8)\times 1\times 2$
$21912 := (F(21)+9+1)\times 2$
$22799 := (F(9)+9\times F(7))^2-2$
$23176 := -F(6)+F((7+1)\times 3)/2$
$23177 := -7+F((7+1)\times 3)/2$
$23188 := (8+F(8\times 1\times 3))/2$
$23197 := F(7)+F((9-1)\times 3)/2$
$23256 := F(6\times(5-2))\times 3^2$
$23264 := (F(4)^6-2)\times 32$
$23329 := ((F(9)+2)^3+F(3))/2$
$23409 := (9+F(04\times 3))^2$
$23478 := F(8)\times F(7)\times 43\times 2$
$23718 := ((F(8)+1)\times 7)^{F(3)}+2$
$23826 := 6\times(2+(F(8)\times 3)^2)$
$23898 := F(8)\times F(9)+F(8\times 3)/2$
$23991 := (-1+F(9))\times(9^3-2)$
$24126 := F(6)^2\times F(14)-2$
$24128 := 8^2\times F(14)\times F(2)$
$24255 := 55\times F(2\times 4)^2$
$24326 := -F(6)+23^{F(4)}\times 2$
$24327 := -7+23^{F(4)}\times 2$
$24328 := ((F(8)+2)^3-F(4))\times 2$
$24337 := F(7)^{F(3)}\times F(3\times 4)+F(2)$
$24339 := (F(9)^{F(3)}+3)\times F(4\times 2)$
$24368 := (F(8)+F(6))^3-F(4\times 2)$
$24386 := (F(6)+F(8))^3-4+F(2)$
$24387 := (F(7)+8\times F(3))^{F(4)}-2$
$24388 := (8+F(8))^3-F(4-2)$
$24389 := (F(9)-8+3)^{F(4)}\times F(2)$
$24392 := (29^3+F(4))\times F(2)$
$24395 := (-5+F(9))^3+4+2$
$24546 := (F(6)^4-5)\times(4+2)$
$24576 := 6\times(F(7)-5)^4\times F(2)$
$24675 := 5\times(F(7)-F(6))\times F(4^2)$
$24964 := (F(4)\times 6\times 9-4)^2$
$24997 := 7\times(F(9+9)+F(4^2))$
$25376 := F(6)\times F(7)\times(3^5+F(2))$
$25532 := (F(23)-5^5)\times F(2)$
$25662 := 26\times F(6+5\times 2)$
$25921 := (1+(-2+F(9))\times 5)^2$
$26376 := (6+F(7)^3\times 6)\times 2$
$26377 := F(7)+F(7)^3\times 6\times 2$

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$26573 := F(3\times 7)+5^6+2$
$26637 := F(7)\times(F(3)^{F(6)}\times F(6)+F(2))$
$26896 := (F(6)+(F(9)-8)\times 6)^2$
$26928 := (F(8)+F(2))\times F(9)\times 6^2$
$26987 := -F(7)+(F(8)+9)^{6/2}$
$26998 := (F(8)+9)^{9-6}-2$
$27024 := 4\times(F(20)-7-2)$
$27147 := (F(7)+4)\times F(17)-2$
$27148 := (F(8)-4)\times F(17)-F(2)$
$27225 := F(5\times 2)^2\times(7+2)$
$27345 := 5\times(4+F(3\times 7))/2$
$27365 := 5\times F((6-3)\times 7)/2$
$27385 := 5\times(8+F(3\times 7))/2$
$27468 := F(8)\times(6^4+F(7)-F(2))$
$27792 := (2+F(9))\times 772$
$27847 := F(7)^4-F(8)\times F(7+2)$
$27848 := 8\times(F(4)+8\times 7)^2$
$28237 := F(7)+(F(3\times 2)\times F(8))^2$
$28288 := (8\times F(8))^2+8^2$
$28376 := F(6)\times(F(7)^{F(3)}\times F(8)-2)$
$28431 := 13\times F(4)^{8-F(2)}$
$28446 := (6^4-F(4))\times(F(8)+F(2))$
$28532 := F(23)-5^{F(8/2)}$
$28544 := 4^{F(4)}\times(5+F(8)^2)$
$28561 := 1\times(F(6)+5)^{8/2}$
$28632 := F(23)-6-F(8)+2$
$28671 := -1+7\times F(6)^{8/2}$
$28672 := F(2)\times 7\times F(6)^{8/2}$
$28732 := F(23)-7+82$
$28746 := 6\times F(4)\times F(7+8+2)$
$28794 := F(4+9)+F(7)^{8/2}$
$29177 := 7\times(-F(7)+F(19))+F(2)$
$29197 := 7\times(-9+F(19)-F(2))$
$29241 := (1+(F(4)+2)\times F(9))^2$
$29529 := ((9\times F(2))^5+9)/2$
$29813 := F(31-8)+F(9)^2$
$29989 := 98\times F(9)\times 9+F(2)$
$30976 := (F(6)\times(F(7)+9))^{F(03)}$
$31329 := (F(9+2)\times F(3)-1)^{F(3)}$
$32158 := 8^5-F(12+3)$
$32677 := -7\times F(7)+F(6)^{2+3}$
$32684 := -4\times F(8)+F(6)^{2+3}$
$32746 := F(6)^4-7+F(23)$
$32753 := F(3)^{5+7}+F(23)$
$32756 := F(6)^5-7-2-3$
$32759 := -9+(-5+F(7))^{2+3}$
$32762 := 2^{F(6)+7}-2\times 3$
$32763 := -3+F(6)^{7-2}-F(3)$
$32764 := ((-4+F(6))^7-2)\times F(3)$
$32765 := -5+F(6)^{7-2}+F(3)$
$32766 := F(6)^{-6+F(7)-2}-F(3)$
$32839 := F(9)+3^8\times(2+3)$
$32845 := 5\times(F(4)^8+2^3)$
$33282 := (2^8+2)^{F(3)}/F(3)$
$33327 := 7\times(23\times 3)^{F(3)}$
$33448 := 8\times F(4+4\times 3+3)$
$33489 := (9\times F(8)-4-F(3))^{F(3)}$
$33578 := (-F(8)+7^5+3)\times F(3)$
$33617 := 7^{-1+6}\times F(3)+3$
$33631 := 13\times(F(6\times 3)+3)$
$33696 := (-F(6)+F(9))\times 6^{F(3)\times F(3)}$
$33785 := 5\times(-8+F(-7+3^3))$
$33856 := (F(6)\times(5+F(8)-3))^{F(3)}$
$34188 := F(8)\times 814\times F(3)$
$34285 := 5\times((F(8)-2)^{F(4)}-F(3))$
$34475 := 5\times 7\times(F(4\times 4)-F(3))$
$34545 := 5\times(F(4\times 5)+F(4\times 3))$
$34596 := (6+9\times 5\times 4)^{F(3)}$
$34848 := 8\times(F(4)\times F(8)+F(4))^{F(3)}$
$34968 := 8\times(6\times 9^{F(4)}-3)$
$36284 := -4+F(8)\times(2\times 6)^3$
$36481 := (-1+8\times 4\times 6)^{F(3)}$
$36483 := ((F(3)+F(8))^{F(4)}-6)\times 3$

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$36992 := (-2+F(9)) \times F(9) \times F(6+3)$
$36994 := 4 \times F(9) \times F(9) \times F(6) + F(3)$
$37044 := 4 \times (F(4) \times 07)^3$
$37349 := (9+4 \times F(3)) \times F(7)^3$
$37368 := -8 + F(6)^3 \times 73$
$37376 := F(6)^{F(7-3)} \times 73$
$37516 := (F((6-1) \times 5) + 7)/F(3)$
$37629 := 9 \times F((2^6-7)/3)$
$37835 := 5 \times (-F(3) + 87^{F(3)})$
$37885 := 5 \times (8 + 87^{F(3)})$
$37947 := F(7) \times F(4) \times 973$
$38413 := -3 + 14^{8/F(3)}$
$38416 := (6+1)^4 \times 8 \times F(3)$
$38493 := 39 \times F(48/3)$
$38565 := 5 \times (6^5 - F(8) \times 3)$
$38784 := (-4+F(8+7)) \times 8^{F(3)}$
$38792 := -2^9 + (F(7)+F(8))^3$
$38808 := (80+8) \times F(8)^{F(3)}$
$38809 := (9 \times F(08) + 8)^{F(3)}$
$39064 := -4 \times 60 + F(9)^3$
$39139 := F(9)^3 - F(1+9) \times 3$
$39178 := -F(8) \times (7-1) + F(9)^3$
$39187 := -F(7) \times (8+1) + F(9)^3$
$39189 := -F(9) - 81 + F(9)^3$
$39223 := -3^{2 \times 2} + F(9)^3$
$39236 := -F(6+3) \times 2 + F(9)^3$
$39238 := -8^{F(3)} - 2 + F(9)^3$
$39249 := -F((9-4) \times 2) + F(9)^3$
$39251 := -1 - 52 + F(9)^3$
$39252 := -F(2) \times 52 + F(9)^3$
$39256 := F(6) \times (-5 - F(2)) + F(9)^3$
$39258 := -F(8) - 5^2 + F(9)^3$
$39259 := -9 \times 5 + (F(2) \times F(9))^3$
$39262 := -2 \times F(6+2) + F(9)^3$
$39264 := (F(4)^{F(6)} \times 2 - F(9)) \times 3$
$39265 := -5 \times F(6) + F(2) + F(9)^3$
$39266 := -6 \times 6 - 2 + F(9)^3$
$39281 := -1 - F(8) - F(2) + F(9)^3$
$39282 := -2 - F(8) + F(2) + F(9)^3$
$39283 := -F(3) \times F(8)/2 + F(9)^3$
$39286 := -6 \times F(8/2) + F(9)^3$
$39287 := -7 - 8 - 2 + F(9)^3$
$39288 := -8 - 8 + (F(2) \times F(9))^3$
$39289 := -9 - 8 + 2 + F(9)^3$
$39291 := -1 \times F(9-2) + F(9)^3$
$39295 := -F(-5+9)^2 + F(9)^3$
$39297 := -7 + (F(9) \times F(2))^{9/3}$
$39301 := 1 \times 0 - 3 + F(9)^3$
$39305 := F(5-03) + F(9)^3$
$39308 := 8/F(03) + F(9)^3$
$39312 := (2 \times 1)^3 + F(9)^3$
$39313 := (3 \times 1) \times 3 + F(9)^3$
$39314 := (4+1) \times F(3) + F(9)^3$
$39317 := F(7) + F(1^3 \times 9)^3$
$39318 := (8-1) \times F(3) + F(9)^3$
$39322 := (-22 + 3^9) \times F(3)$
$39324 := -42 + 3^9 \times F(3)$
$39325 := (5+2) \times 3 + F(9)^3$
$39329 := -F(9) + 2 \times 3^9 - 3$
$39331 := 1 \times 3^3 + F(9)^3$
$39337 := (F(7) - F(3)) \times 3 + F(9)^3$
$39338 := F(8+3/3) + F(9)^3$
$39339 := F(9)^3 - F(3) + F(9) + 3$
$39342 := -24 + 3^9 \times F(3)$
$39343 := 3 \times F(4+3) + F(9)^3$
$39344 := -F(4) + 43 + F(9)^3$
$39346 := -6 - 4 + 3^9 \times F(3)$
$39347 := -F(7) + (-F(4) + 3^9) \times F(3)$
$39349 := -9 + (-4 + 3^9) \times F(3)$
$39351 := -15 + 3^9 \times F(3)$
$39352 := (-2 - 5 + 3^9) \times F(3)$
$39353 := F(3) \times (-5 + 3^9) - 3$

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$39354 := -F(4) + 53 + F(9)^3$
$39358 := -8 + (5 - F(3))^9 \times F(3)$
$39359 := F(9) + F(5+3) + F(9)^3$
$39372 := 2 \times (F(7-3)^9 + 3)$
$39375 := -5 + (7 + 3^9) \times F(3)$
$39376 := F(6) \times (7 + F(3)) + F(9)^3$
$39381 := -1 + (8 + 3^9) \times F(3)$
$39388 := (F(8) + F(8)) \times F(3) + F(9)^3$
$39392 := (F(-2+9) + 3^9) \times F(3)$
$39408 := (F(8) + F(04)^9) \times F(3)$
$39416 := F(6) \times 14 + F(9)^3$
$39432 := 2^{3+4} + F(9)^3$
$39439 := -9 + F(3 \times 4) + F(9)^3$
$39468 := F(8) \times F(6) - 4 + F(9)^3$
$39475 := 57 \times F(4) + F(9)^3$
$39477 := F(7) \times F(7) + 4 + F(9)^3$
$39478 := (8 \times 7 + F(4)^9) \times F(3)$
$39489 := 9 \times F(8) - 4 + F(9)^3$
$39492 := 2 \times 94 + F(9)^3$
$39504 := 40 \times 5 + F(9)^3$
$39524 := 4 \times F(2 \times 5) + F(9)^3$
$39529 := 9 \times 25 + F(9)^3$
$39544 := -F(4) + F(4)^5 + F(9)^3$
$39547 := (7-4)^5 + F(9)^3$
$39564 := 4 \times 65 + F(9)^3$
$39598 := F(8) \times (9+5) + F(9)^3$
$39647 := 7^{-F(4)+6} + F(9)^3$
$39655 := 55 \times (-F(6) + 9^3)$
$39681 := F(1 \times 8 + 6) + F(9)^3$
$39688 := 8 \times 8 \times 6 + F(9)^3$
$39733 := 33 \times F(7) + F(9)^3$
$39738 := F(8)^{F(3)} - 7 + F(9)^3$
$39749 := F(9)^{F(4)} + F(7) \times F(9) + 3$
$39766 := 66 \times 7 + F(9)^3$
$39914 := F(-4+19) + F(9)^3$
$39927 := 7 \times F(2+9) + F(9)^3$
$39936 := F(6)^3 \times (9 \times 9 - 3)$
$39987 := -F(7) + (8 \times (F(9) - 9))^{F(3)}$
$39997 := 7 \times 99 + F(9)^3$
$40698 := F(8) \times F(9) \times (60 - F(4))$
$42272 := -2^{F(7)}/2 + F(24)$
$42588 := F(8) \times (F(8) + 5)^2 \times F(4)$
$42845 := F(5 \times 4) \times (F(8) - 2)/F(4)$
$42873 := -F(3) + (F(7) + F(8) + F(2))^{F(4)}$
$42875 := (5 \times 7)^{F(8 \times 2/4)}$
$42909 := F(9) + (F(09) + F(2))^{F(4)}$
$42938 := F(8) \times 3 + (F(9) + F(2))^{F(4)}$
$43267 := (F(7) \times F(6) \times 2)^{F(3)} + F(4)$
$43276 := ((F(6) \times F(7))^2 + 3) \times 4$
$43688 := (-8 + 8^6/F(3))/F(4)$
$43752 := -2^5 + F(7 \times 3) \times 4$
$43772 := (F(2 \times 7 + 7) - 3) \times 4$
$43797 := F(7) + F(9 \times 7/3) \times 4$
$43812 := (F(21) + F(8)/3) \times 4$
$43912 := (F(21) + F(9) - F(3)) \times 4$
$44771 := -F(17) + F(7 \times 4 - 4)$
$45738 := F(8) \times (3^7 - 5 - 4)$
$45753 := F(3 \times 5) \times 75 + F(4)$
$45873 := 3^7 \times F(8) - 54$
$45991 := F(19) \times (-9 + 5 \times 4)$
$46048 := -8 \times 40 + F(6 \times 4)$
$46137 := F(7)^3 \times (1+6) \times F(4)$
$46152 := F(25-1) - 6^{F(4)}$
$46216 := -F(6) - F(12) + F(6 \times 4)$
$46217 := -7 - F(12) + F(6 \times 4)$
$46245 := -5^{F(4)} + 2 + F(6 \times 4)$
$46247 := -(7+4)^2 + F(6 \times 4)$
$46265 := 5 \times (-F(6) + F(2+6)^{F(4)})$
$46274 := -47 \times 2 + F(6 \times 4)$
$46304 := -4^{03} + F(6 \times 4)$
$46306 := -60 - F(3) + F(6 \times 4)$
$46315 := -51 - F(3) + F(6 \times 4)$
$46319 := 91 \times (-3 + F(6)^{F(4)})$
$46322 := -2 \times 23 + F(6 \times 4)$

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$46349 := -(F(9)+4)/F(3)+F(6\times 4)$
$46351 := -15-F(3)+F(6\times 4)$
$46361 := -1-F(6)+F(3)+F(6\times 4)$
$46362 := 2\times(-6+3)+F(6\times 4)$
$46363 := -3-6/3+F(6\times 4)$
$46364 := F(4\times 6)-3+F(6-4)$
$46365 := (5-6)\times 3+F(6\times 4)$
$46366 := F(6+6\times 3)-6+4$
$46367 := -(7-6)^3+F(6\times 4)$
$46368 := F(8\times 6/3\times 6/4)$
$46369 := (9-6)/3+F(6\times 4)$
$46379 := (9+F(7))/F(3)+F(6\times 4)$
$46415 := 51-4+F(6\times 4)$
$46417 := 7^{-1+F(4)}+F(6\times 4)$
$46422 := -F(2)+F(24)+F(6+4)$
$46426 := 62-4+F(6\times 4)$
$46437 := 73-4+F(6\times 4)$
$46459 := 95-4+F(6\times 4)$
$46537 := F(7)^{-3+5}+F(6\times 4)$
$46563 := 3\times 65+F(6\times 4)$
$46601 := -F(10)+(6\times 6)^{F(4)}$
$46614 := 41\times 6+F(6\times 4)$
$46622 := -2+2^{F(6)}+F(6\times 4)$
$46635 := -5^{F(3)}+6^6+4$
$46639 := -F(9)/F(3)+(6\times 6)^{F(4)}$
$46649 := -9/F(4)+6^6-4$
$46652 := F(2)^5\times(6^6-4)$
$46655 := -5/5+(6\times 6)^{F(4)}$
$46662 := 2+F(6)+6^6-4$
$46665 := 5+F(6)+6^6-4$
$46666 := F(6)+6^6+6-4$
$46667 := F(7)+6^6-6+4$
$46668 := 8+F(6)+6^6-4$
$46669 := 9+F(6)+6^6-4$
$46681 := F(1\times 8)+6^6+4$
$46682 := F(2)+F(8)+6^6+4$
$46683 := F(3)+F(8)+6^6+4$
$46685 := 5+F(8)+6^6+F(4)$
$46686 := 6+F(8)+6^6+F(4)$
$46687 := F(7)+F(8)+6^6-F(4)$
$46688 := F(8)+8+6^6+F(4)$
$46689 := 9+F(8)+6^6+F(4)$
$46872 := (-F(2)+(F(7)-8)^6)\times F(4)$
$46873 := -F(3)+(F(7)-8)^6\times F(4)$
$46875 := 5^{(-7+8)\times 6}\times F(4)$
$46926 := 62\times 9+F(6\times 4)$
$46978 := F(8+7)+F(96/4)$
$47327 := 7\times(F(2\times(3+7))-4)$
$47372 := (F(2\times 7)^{F(3)}-F(7))/F(4)$
$47628 := F(8)^2\times(F(6)\times F(7)+4)$
$47664 := F(4\times 6)+6^{7-F(4)}$
$47736 := 6^3\times F(7)\times(F(7)+4)$
$47796 := 6\times(-F(9)+(F(7)+7)^{F(4)})$
$48384 := (F(4)\times 8)^{F(3)}\times 84$
$49254 := (4^{5+2}+F(9))\times F(4)$
$51764 := F(4)^6\times 71+5$
$52448 := 8\times(F(4)^{4\times 2}-5)$
$52493 := (F(3)\times 9)^4/2+5$
$52496 := F(6)\times(9^4+F(2)^5)$
$53133 := 3\times F((3\times 1)^3-5)$
$53227 := -F(7)+22^3\times 5$
$53482 := -F(28)+F(4+3)^5$
$53946 := 6\times(F(4)+F(9))\times 3^5$
$54128 := 8\times(F(2)+F(1\times 4\times 5))$
$54168 := 8\times(6+F(1\times 4\times 5))$
$54176 := F(6)\times(7+F(1\times 4\times 5))$
$54216 := F(6)\times(12+F(4\times 5))$
$54248 := 8\times(4^2+F(4\times 5))$
$54288 := 8\times(F(8)\times F(2)+F(4\times 5))$
$54289 := F(9+8/2)^{-F(4)+5}$
$54294 := F(4+9)^{-2+4}+5$
$54717 := -F(7)+F(17+4)\times 5$
$54735 := (5+F(3\times 7)-4)\times 5$
$54849 := 9^{F(4)}+8\times F(4\times 5)$
$54925 := (5\times F(-2+9))^{F(4)}/5$

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$57267 := 7 \times (-6 + 2^{F(7)} - 5)$
$57322 := 2 \times F(23) + F(7) - 5$
$57323 := F(3) \times (F(23) + 7) - 5$
$57326 := (6 + F(23)) \times (7 - 5)$
$57327 := F(7) + F(23) \times (7 - 5)$
$57332 := F(23) \times F(3) + F(7) + 5$
$57339 := (9 - F(3)) \times F(3)^{F(7)} - 5$
$58944 := F(4) \times (F(4)^9) - F(8) \times 5$
$58964 := F(4)^{F(6)} \times 9 - 85$
$59018 := -F(8) - 10 + 9^5$
$59028 := -F(8) + 2 \times 0 + 9^5$
$59034 := F(4) \times (3^{09} - 5)$
$59043 := -3 - F(4) + 09^5$
$59044 := F(4) \times F(4)^{09} - 5$
$59046 := -6 + F(4) + 09^5$
$59047 := -F(7 - 4) + 09^5$
$59048 := -F(8/4) + 09^5$
$59138 := F(8 + 3) + 1 \times 9^5$
$59193 := F(3 + 9) + 1 \times 9^5$
$59218 := F(8 - 1)^2 + 9^5$
$59238 := F(8) \times 3^2 + 9^5$
$59389 := F(9) \times (8 + F(3)) + 9^5$
$59415 := 51 \times F(4 + 9) \times 5$
$59418 := -8 + F(14) + 9^5$
$59426 := F(6 + 2 \times 4) + 9^5$
$59432 := 23 \times F(4 + 9 + 5)$
$59617 := 71 \times F(6) + 9^5$
$59647 := F(7) \times 46 + 9^5$
$59651 := F(15) - F(6) + 9^5$
$59653 := F(3 \times 5) - 6 + 9^5$
$59659 := 9^5 + F((-6 + 9) \times 5)$
$59725 := 52 \times F(7) + 9^5$
$59764 := F(4 + 6) \times F(7) + 9^5$
$61029 := 9 \times (F(20) + 16)$
$62214 := F(4) \times F(12)^2 + 6$
$62426 := (F(6) - F(2))^4 \times 26$
$62584 := 4 \times (F(8) + (5 \times F(2))^6)$
$62976 := (F(6) + 7 \times F(9)) \times 2^{F(6)}$
$63368 := (86 + 3)^{F(3)} \times F(6)$
$63392 := (F(2 + 9)^{F(3)} + 3) \times F(6)$
$63498 := (F(8) \times (9 + F(4)))^{F(3)} - 6$
$63744 := (4^4 - 7) \times F(3)^{F(6)}$
$63888 := (F(8) + 8/8)^3 \times 6$
$64024 := (F(4) + 20^{F(4)}) \times F(6)$
$64384 := 4^8 - F(3 \times 4) \times F(6)$
$64488 := (F(8) \times 8^{F(4)} - 4) \times 6$
$64539 := 9 \times (F(3 \times 5) + F(4)^{F(6)})$
$64544 := -F(4 \times 4) - 5 + 4^{F(6)}$
$64812 := (F(21) - F(8 + 4)) \times 6$
$64824 := -F(4) + 2 \times F(8)^4/6$
$64826 := (-6 + 2 \times F(8)^4)/6$
$64827 := 7 \times (2 \times F(8))^{F(4)}/F(6)$
$64835 := (5 + F(3)) \times F(8)^{F(4)} + F(6)$
$64864 := 4^{F(6)} - 84 \times F(6)$
$64881 := (1 + 88) \times F(4)^6$
$64935 := -F(5 \times 3) + 9 + 4^{F(6)}$
$64945 := -5^4 + F(9) + 4^{F(6)}$
$65159 := -F(9 + 5) + (-1 + 5)^{F(6)}$
$65464 := 4^{F(6)} - (4 + 5) \times F(6)$
$65472 := (2^{F(7)} - F(4) - 5) \times F(6)$
$65542 := 2 \times (F(4) + 5)^5 + 6$
$65544 := 4^{F(-4+5+5)} + F(6)$
$65562 := 2 \times (F(6)^5 + 5 + F(6))$
$65625 := (5 - F(2))^{F(6)} + F(5 + 6)$
$65628 := (-8 + F(26 - 5)) \times 6$
$66912 := 2 \times (F(19) \times F(6) + F(6))$
$67398 := (8 \times 9)^{F(3)} \times F(7) + 6$
$68894 := (F(4)^9 \times F(8) + F(8))/6$
$69631 := -1 + F(3)^{F(6)} \times F(9) \times F(6)$
$69632 := (F(2) \times F(3))^{F(6)} \times F(9) \times F(6)$
$69956 := 6^5 \times 9 - F(9) + 6$
$71564 := -F(4)^{F(6)} + (5 \times 1)^7$
$72384 := F(4) \times 8^{F(3)} \times F(2 \times 7)$

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$72893 := -F(3) + (F(9) \times 8)^2 + 7$
$72999 := 9 \times (-9 \times 9 + 2^{F(7)})$
$73539 := -9 \times (F(3+5) - F(3)^{F(7)})$
$73674 := (-4 + F(7)) \times (-6 + F(3)^{F(7)})$
$73719 := 9 \times (-1^7 + F(3)^{F(7)})$
$73724 := -4 + 2^{F(7)} \times (F(3) + 7)$
$73728 := (8 \times 2 - 7) \times F(3)^{F(7)}$
$73736 := F(6) + F(3)^{F(7)} \times (F(3) + 7)$
$73791 := 1 \times 9 \times (7 + F(3)^{F(7)})$
$73971 := ((1+7) \times F(9))^{F(3)} - F(7)$
$73984 := (-4 + F(8)) \times F(9) \times F(3)^7$
$73991 := ((-1+9) \times F(9))^{F(3)} + 7$
$73997 := (7 \times F(9) + F(9))^{F(3)} + F(7)$
$74088 := (F(8) + F(8))^{-04+7}$
$74358 := F((8-5) \times 3) \times F(4)^7$
$74366 := F(6) + F(6+3) \times F(4)^7$
$74492 := -2 + F(9) \times (4 + F(4)^7)$
$74719 := F(9) \times (1 + F(7)^{F(4)}) - F(7)$
$75023 := -F(3) + F(2^{05} - 7)$
$75031 := -1 + F(30-5) + 7$
$75034 := -4 + F(30-5) + F(7)$
$75059 := F(9) + F(5^{-05+7})$
$75258 := F(8+5) + F(2^5 - 7)$
$75536 := -F(6 \times 3) - 5 + 5^7$
$75937 := -F(7)^3 + 9 + 5^7$
$75983 := -3 \times F(8) \times F(9) + 5^7$
$76648 := 8 \times (F(4)^6 + F(6)) \times F(7)$
$77748 := (8 - F(4))^7 - F(7+7)$
$77756 := F(6) + 5^7 - F(7+7)$
$78123 := -F(3) + (-2 - 1 + 8)^7$
$78138 := (8-3)^{-1+8} + F(7)$
$78159 := F(9) + 5^{1^8 \times 7}$
$78358 := F(8+5) + (-3+8)^7$
$78399 := 9 \times (F(9) \times F(3)^8 + 7)$
$79492 := 2 \times (F(9)^{F(4)} + F(9) \times F(7))$
$79929 := 9 \times (-2 + 9 \times F(9+7))$
$82824 := 4 \times (-F(2) + F(8 \times 2)) \times F(8)$
$82923 := (32 \times 9)^2 - F(8)$
$83478 := -8 + F(7)^{F(4)} \times 38$
$83486 := (-F(6) + F(8))^{F(4)} \times 38$
$83498 := (8+9)^4 - F(3) - F(8)$
$85293 := 3^{9-F(2)} \times (5+8)$
$86016 := (F(6)^{10-6}) \times F(8)$
$86688 := F(8) \times 86 \times 6 \times 8$
$87455 := -5 \times (5 - F(4)^7 \times 8)$
$88809 := 90 \times F(8+8) - F(8)$
$89355 := (5 + 5^3 \times F(9)) \times F(8)$
$89488 := F(8+8)/F(4) \times F(9) \times 8$
$91976 := -6 + (F(7)+9) \times F(19)$
$92991 := (-1 + 9 \times F(9))^2 - F(9)$
$93296 := F(6) \times (9-2)^3 \times F(9)$
$94928 := (82 \times F(9) + 4) \times F(9)$
$97655 := (-5 + 5^{F(6)})/(F(7) - 9)$
$97824 := 4 \times (F(28)/F(7) + 9)$
$98183 := 38 \times F(18) - 9$
$98239 := F(9 \times 3)/2 + F(8) + 9$
$98245 := 5 \times (F(4)^{F(2)+8} - F(9))$
$98425 := 5 \times (2 + F(-4+8)^9)$
$99688 := (8 + 86 \times F(9)) \times F(9)$
$99945 := 5 \times (F(4)^9 + 9 \times F(9))$

5.3.2 With Factorial

$256 := (F(6) + 5!) \times 2$
$344 := F(F(4)!) \times 43$
$472 := 2 \times F(F(7)) + F(4)!$
$497 := (-7! + 9!)/F(4)!!$
$639 := -9^{F(3)} + 6!$
$736 := 6! + 3 + F(7)$
$1364 := (F(4!) + F(6))/F(F(3!) + 1)$
$1365 := 5 \times F(F(6)) \times F(3! + 1)$

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$1368 := (F(F(8))+6)/F(3!)-1$
$1429 := -9+2\times(F(4)!!-1)$
$1432 := 2\times 3!!-F((4-1)!)$
$1542 := 2\times(F(4)!!+51)$
$1593 := F(F(3!)+9)-5+1$
$1597 := F(-7+(9-5)!\times 1)$
$1646 := F(6)!/4!-F(F(6)+1)$
$1673 := (3!+F(F(7)))\times(6+1)$
$2091 := (F(19)+0!)/2$
$2205 := 5\times F(F((0!+2)!))^2$
$2287 := -F(F(7))+(8-F(2))!/2$
$2401 := (F(10)-F(4)!)^2$
$2447 := (7!+F(4!))/F(F(F(4)!))-F(2)$
$2457 := (7!-5!-F(4)!)/2$
$2484 := F(4)!!+(F(8)\times F(F(4)))^2$
$2576 := (-F(6)+7!+5!)/2$
$2592 := F(2\times 9)+F((5-2)!)$
$2597 := (7!+F(9)+5!)/2$
$2643 := -3+F(4)!\times F(F(6))^2$
$2645 := (5!+F(4)!)\times F(F(6))-F(2)$
$2664 := (F(4!)-6!-F(6)!)/2$
$2743 := (F(F(F(3!)))/F(F(4))+F(7))/2$
$2744 := 4\times(F(4)!!-F(7+2))$
$2754 := F(F(F(4)!))\times 5!+F(F(7))+F(2)$
$2774 := F(F(F(4)!))+F(F(7))+7!/2$
$2848 := (-8+F(4)!!)\times 8/2$
$2867 := -F(7)+6!\times 8/2$
$2884 := (F(4)!!\times 8+8)/2$
$2896 := 6!+F(9)\times 8^2$
$2905 := -5!+F(0!+9)^2$
$2954 := F(F(4))\times(-5!+F(F(9)/2))$
$2966 := F(F(F(6)))-(F(F(6)))!/(9\times 2)!$
$3136 := (F(6)\times(3!+1))^{F(3)}$
$3215 := (5!-1)^2-F(F(F(3!)))$
$3239 := (9\times 3!!-2)/F(3)$
$3327 := F(7)\times 2^{F(3!)}-F(F(3))$
$3345 := 5^{F(4)}\times F(F(3!))+3!!$
$3348 := (8!/4!-3!)\times F(3)$
$3416 := 61\times F(F(4)!)!/3!!$
$3459 := 9!/(5\times F(F(F(4)!)))+3$
$3478 := -F(F(8))/F(7)+F(4)!\times 3!!$
$3493 := F(3!)!/9-F(4^{F(3)})$
$3584 := 4\times(-8+5!)\times F(3!)$
$3639 := F(9+3!)\times 6-F(F(3!))$
$3641 := (1-4!+F(F(F(6))))/3$
$3642 := (F(2)-F(F(F(4)!))+F(F(F(6))))/3$
$3645 := 5\times F(4)^{(6-3)!}$
$3728 := 8\times 2\times F(7+3!)$
$3736 := -6!+F(3)^{F(7)}/F(3)$
$3755 := 5^5+7!/F(3!)$
$3757 := F(7)\times 5!+F(7)^3$
$3765 := (-5!+6\times 7!)/F(3!)$
$3774 := F(4)!\times(-7\times F(7)+3!!)$
$3784 := F(F(4)!)!/F(8)+F(F(7))\times F(3!)$
$3786 := (F(F(6))+F(8+7))\times 3!$
$3794 := F(F(F(4)!)+9)+F(7)^3$
$3864 := F(4!)/((-6+8)\times 3!)$
$3886 := (6!-8+F(F(8)))/3$
$3928 := (-F(8)+2^9)\times F(3!)$
$3944 := F(F(4)!)\times 493$
$4072 := 2^{F(7)-0!}-4!$
$4134 := (F(4)!!-31)\times F(4)!$
$4224 := F(F(4)!)\times 22\times 4!$
$4248 := 8\times F(F(F(4)!))^2+F(4)!!$
$4317 := (7-1)!\times 3!-F(4)$
$4344 := (4+(F(4)\times F(3))!)\times F(4)!$
$4345 := 5^{F(F(4))}+3!!\times F(4)!$
$4363 := -F(F(F(3!)))+F(F(6))\times 3^{F(4)!}$
$4396 := F(6)!/9-F(F(3!))\times 4$
$4433 := (F(F(3!))+F(-F(3)+4!))/4$
$4445 := 5^{F(4)}+F(4)!\times F(4)!!$
$4452 := (F(F(2+5))-F(F(F(4)!)))\times F(F(F(4)!))$
$4456 := F(6)!/(5+4)-4!$
$4478 := 8!/(F(7)-4)-F(F(4))$
$4594 := F(F(4)!)!/9+5!-F(4)!$
$4598 := 8!/9+5!-F(F(4))$
$4608 := (8+0!)\times F(6)^{F(4)}$
$4657 := F(F(7))\times 5!/6-F(4)$

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$4658 := -F(F(8)) + 5^6 - F(F(F(4)!))$
$4675 := -5 + F(7) \times 6!/F(F(4))$
$4676 := (6! \times F(7) - F(6))/F(F(4))$
$4696 := F(6)!/9 + 6^{F(4)}$
$4765 := 5! \times (6! + F(F(7)))/4!$
$4782 := -2^8 + 7! - F(F(4))$
$4794 := (F(4)!! - F(9)) \times 7 - F(F(4)!)$
$4872 := (-F(2) + F(7+8)) \times F(F(4)!)$
$4896 := 6 \times F(9) \times (8-4)!$
$4901 := F(10+9) + F(4)!!$
$4946 := (F(F(6))/F(4))! - 94$
$5064 := 4! + (F(6) - (0 \times 5)!)!$
$5374 := -F(F(4)) + 7! + F(3!)!/5!$
$5395 := (5! \times 9 - F(F(3))) \times 5$
$5417 := 7! + F(-1 + F(4) \times 5)$
$5439 := -F(9) + F(F(F(3!)))/(-F(4) + 5)$
$5546 := F(F(F(6))) - 45 \times 5!$
$5672 := 2^{F(7)} - F(F(6)) \times 5!$
$5684 := F(4!)/8 + F(6) - 5!$
$5774 := F(F(F(F(4)!)))/F(7) \times 7 - 5!$
$5778 := 8!/7 + F(7) + 5$
$5789 := F(9) + 8!/7 - 5$
$5794 := -F(4!)/9 + F(F(F(7) - 5))$
$5846 := -6! + F(4)^8 + 5$
$6024 := -F(4)!! + F(20) - F(F(6))$
$6069 := 9!/60 + F(F(6))$
$6253 := (F(F(F(3!))) + 5!)/2 + 6!$
$6399 := 9 \times (-9 \times F(F(3)) + 6!)$
$6441 := -(1+4)! + F(4)^{F(6)}$
$6445 := -5! + 4 + F(4)^{F(6)}$
$6478 := 8!/7 - F(F(4)) + 6!$
$6479 := (9!/7 - F(F(4)!))/F(6)$
$6525 := -5! \times 2 + F(5!/6)$
$6549 := -9 \times 4! + F(5!/6)$
$6595 := -5 \times F(9) + F(5!/6)$
$6639 := -9^{F(3)} + F(6)!/6$
$6669 := 9!/F(6)! \times (6! + F(F(6)))$
$6699 := 9!/(9 \times 6) - F(F(6))$
$6718 := (8! + 1 - F(7))/6$
$6758 := (8! - 5 + F(F(7)))/6$
$6776 := F(6) \times (7 + 7!/6)$
$6839 := (F(9) \times F(F(3!)) + 8!)/6$
$6867 := 7 \times F(F(6)) + 8!/6$
$6888 := 8 \times F(8) + 8!/6$
$7056 := F(6)!/5! \times F(0! + 7)$
$7245 := 5 \times F(F(F(4)!))^2 + 7!$
$7324 := (F(F(4)!)! + 2 + F(F(F(3!))))/7$
$7389 := 9 \times (-F(8) + F(F(F(3!)))/F(7))$
$7448 := (-8 + F(F(4)!) \times 4 \times F(F(7)))$
$7454 := F(F(4)!)!/5 - F(F(F(4)) + F(7))$
$7466 := -6 - 6! + F(F(4))^{F(7)}$
$7472 := 2^{F(7)} - (-4+7)!!$
$7542 := -F(2) + F(4)!^5 - F(F(7))$
$7544 := F(F(F(4))) + F(4)!^5 - F(F(7))$
$7586 := F(F(F(6))) - 8!/(5+7)$
$7648 := 8 \times (F(4) + 6! + F(F(7)))$
$7656 := 6^5 - (-F(6) + F(7))!$
$7663 := F(3!) \times F(F(6) + F(6)) - F(F(7))$
$7728 := F(8) \times 2^7 + 7!$
$7734 := F(4!)/3! - 7 + F(7)$
$7763 := 3!^{-F(6)+F(7)} - F(7)$
$7783 := 3!^{-8+F(7)} + 7$
$7844 := F(F(F(F(4)!))) - (F(4)! + 8!)/F(7)$
$7883 := F(3!) \times F(8+8) - F(7)$
$7993 := F(F(3!))!/(9+9)! + F(7)$
$8064 := 4 \times F(6)!/(-0! + F(8))$
$8405 := -(5! + 0!) \times F(F(F(4)!)) + F(F(8))$
$8427 := (-7! + 2)/F(F(4)) + F(F(8))$
$8447 := -7!/F(F(4)) + F(F(F(4)!)) + F(F(8))$
$8616 := 6! + F(16) \times 8$
$8629 := -F(F(9)/2) - 6! + F(F(8))$
$8639 := (9!/F(3) - F(F(6)))/F(8)$
$8849 := -9 \times F(-F(F(4)!) + F(8)) + F(F(8))$
$8968 := (8! + F(6)!)/9 + 8$
$9344 := 4!^{F(4)} - F(3!)!/9$
$9384 := F(4!)/(F(8) \times F(3!)) \times F(9)$
$9424 := F(4)!! + 2^{F(F(4)!)} \times F(9)$
$9474 := -F(4) + F(7) \times (F(4)!! + 9)$

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$9477 := F(7) \times ((7-4)!! + 9)$
$9488 := 8 \times (8! + 4)/F(9)$
$9626 := F(F(F(6))) - (2 \times 6)!/9!$
$9632 := (F((F(2)+3)!) + F(6)!)/9$
$9664 := (F(4)!^6 + F(6)!)/9$
$9736 := F(6) \times (F(F(F(3!))) + 7)/9$
$9744 := (F(4!) + F(4!) - 7!)/9$

6 Selfie Patterns with Fibonacci Sequence Values

There are numbers that can be extended just multiplying by 10 without loss of properties of numbers. This type we call as *number patterns*. This section deals with numbers patterns in selfie numbers having Fibonacci sequence values. This kind of numbers are only in terms of digit's order.

$63 := F(F(6)) \times 3$
$630 := F(F(6)) \times 30$
$6300 := F(F(6)) \times 300$

$84 := F(8) \times 4$
$840 := F(8) \times 40$
$8400 := F(8) \times 400$

$168 := 1 \times F(F(6)) \times 8$
$1680 := 1 \times F(F(6)) \times 80$
$16800 := 1 \times F(F(6)) \times 800$

$189 := 1 \times F(8) \times 9$
$1890 := 1 \times F(8) \times 90$
$18900 := 1 \times F(8) \times 900$

$472 := (F(4) + F(F(7))) \times 2$
$4720 := (F(4) + F(F(7))) \times 20$
$47200 := (F(4) + F(F(7))) \times 200$

$882 := F(8) \times F(8) \times 2$
$8820 := F(8) \times F(8) \times 20$
$88200 := F(8) \times F(8) \times 200$

$1165 := F(F(1 \times 1 + 6)) \times 5$
$11650 := F(F(1 \times 1 + 6)) \times 50$
$116500 := F(F(1 \times 1 + 6)) \times 500$

$1175 := (1 + 1 + F(F(7))) \times 5$
$11750 := (1 + 1 + F(F(7))) \times 50$
$117500 := (1 + 1 + F(F(7))) \times 500$

$1365 := 13 \times F(F(6)) \times 5$
$13650 := 13 \times F(F(6)) \times 50$
$136500 := 13 \times F(F(6)) \times 500$

$1525 := F(15)/2 \times 5$
$15250 := F(15)/2 \times 50$
$152500 := F(15)/2 \times 500$

$1645 := F(16)/F(4) \times 5$
$16450 := F(16)/F(4) \times 50$
$164500 := F(16)/F(4) \times 500$

$1687 := (F(F(1+6)) + 8) \times 7$
$16870 := (F(F(1+6)) + 8) \times 70$
$168700 := (F(F(1+6)) + 8) \times 700$

$1785 := F(1+7) \times 85$
$17850 := F(1+7) \times 850$
$178500 := F(1+7) \times 8500$

$1848 := (F(F(-1+8)) - F(F(4))) \times 8$
$18480 := (F(F(-1+8)) - F(F(4))) \times 80$
$184800 := (F(F(-1+8)) - F(F(4))) \times 800$

$1885 := F(1 + F(8) - 8) \times 5$
$18850 := F(1 + F(8) - 8) \times 50$
$188500 := F(1 + F(8) - 8) \times 500$

$1897 := (-1 + 8 \times F(9)) \times 7$
$18970 := (-1 + 8 \times F(9)) \times 70$

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$$\mathbf{189700} := (-1 + 8 \times F(9)) \times 700$$

$$\mathbf{1972} := (-1 + F(9+7)) \times 2$$
$$\mathbf{19720} := (-1 + F(9+7)) \times 20$$
$$\mathbf{197200} := (-1 + F(9+7)) \times 200$$

$$\mathbf{1995} := F(-1+9) \times 95$$
$$\mathbf{19950} := F(-1+9) \times 950$$
$$\mathbf{199500} := F(-1+9) \times 9500$$

$$\mathbf{2079} := (-2 + F(F(07))) \times 9$$
$$\mathbf{20790} := (-2 + F(F(07))) \times 90$$
$$\mathbf{207900} := (-2 + F(F(07))) \times 900$$

$$\mathbf{2645} := (2 + F(F(6)))^{F(F(4))} \times 5$$
$$\mathbf{26450} := (2 + F(F(6)))^{F(F(4))} \times 50$$
$$\mathbf{264500} := (2 + F(F(6)))^{F(F(4))} \times 500$$

$$\mathbf{2646} := F(2+6)^{F(F(4))} \times 6$$
$$\mathbf{26460} := F(2+6)^{F(F(4))} \times 60$$
$$\mathbf{264600} := F(2+6)^{F(F(4))} \times 600$$

$$\mathbf{2688} := 2 \times F(6) \times F(8) \times 8$$
$$\mathbf{26880} := 2 \times F(6) \times F(8) \times 80$$
$$\mathbf{268800} := 2 \times F(6) \times F(8) \times 800$$

$$\mathbf{2744} := 2 \times 7^{F(4)} \times 4$$
$$\mathbf{27440} := 2 \times 7^{F(4)} \times 40$$
$$\mathbf{274400} := 2 \times 7^{F(4)} \times 400$$

$$\mathbf{3495} := 3 \times F(4+9) \times 5$$
$$\mathbf{34950} := 3 \times F(4+9) \times 50$$
$$\mathbf{349500} := 3 \times F(4+9) \times 500$$

$$\mathbf{3528} := F(3+5)^2 \times 8$$
$$\mathbf{35280} := F(3+5)^2 \times 80$$
$$\mathbf{352800} := F(3+5)^2 \times 800$$

$$\mathbf{3635} := (3^6 - F(3)) \times 5$$
$$\mathbf{36350} := (3^6 - F(3)) \times 50$$
$$\mathbf{363500} := (3^6 - F(3)) \times 500$$

$$\mathbf{3645} := (3+6)^{F(4)} \times 5$$
$$\mathbf{36450} := (3+6)^{F(4)} \times 50$$
$$\mathbf{364500} := (3+6)^{F(4)} \times 500$$

$$\mathbf{3666} := (F(F(3)) + F(-6 + F(F(6)))) \times 6$$
$$\mathbf{36660} := (F(F(3)) + F(-6 + F(F(6)))) \times 60$$
$$\mathbf{366600} := (F(F(3)) + F(-6 + F(F(6)))) \times 600$$

$$\mathbf{3864} := (F(F(3) \times 8) - F(F(6))) \times 4$$
$$\mathbf{38640} := (F(F(3) \times 8) - F(F(6))) \times 40$$
$$\mathbf{386400} := (F(F(3) \times 8) - F(F(6))) \times 400$$

$$\mathbf{4277} := (F(F(F(4))) + F(2 + F(7))) \times 7$$
$$\mathbf{42770} := (F(F(F(4))) + F(2 + F(7))) \times 70$$
$$\mathbf{427700} := (F(F(F(4))) + F(2 + F(7))) \times 700$$

$$\mathbf{4455} := F(4)^4 \times 55$$
$$\mathbf{44550} := F(4)^4 \times 550$$
$$\mathbf{445500} := F(4)^4 \times 5500$$

$$\mathbf{4765} := (4 \times F(F(7)) + F(F(6))) \times 5$$
$$\mathbf{47650} := (4 \times F(F(7)) + F(F(6))) \times 50$$
$$\mathbf{476500} := (4 \times F(F(7)) + F(F(6))) \times 500$$

$$\mathbf{4896} := F(4) \times 8 \times F(9) \times 6$$
$$\mathbf{48960} := F(4) \times 8 \times F(9) \times 60$$
$$\mathbf{489600} := F(4) \times 8 \times F(9) \times 600$$

$$\mathbf{4935} := F(4+9+3) \times 5$$
$$\mathbf{49350} := F(4+9+3) \times 50$$
$$\mathbf{493500} := F(4+9+3) \times 500$$

$$\mathbf{5785} := (5 \times F(F(7)) - 8) \times 5$$
$$\mathbf{57850} := (5 \times F(F(7)) - 8) \times 50$$
$$\mathbf{578500} := (5 \times F(F(7)) - 8) \times 500$$

$$\mathbf{5825} := F(5+8) \times 25$$
$$\mathbf{58250} := F(5+8) \times 250$$
$$\mathbf{582500} := F(5+8) \times 2500$$

$$\mathbf{6561} := (F(6) - 5)^{F(6)} \times 1$$

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$$\mathbf{65610} := (F(6)-5)^{F(6)} \times 10$$
$$\mathbf{656100} := (F(6)-5)^{F(6)} \times 100$$

$$\mathbf{6728} := (F(F(F(6)))/F(7) - F(2)) \times 8$$
$$\mathbf{67280} := (F(F(F(6)))/F(7) - F(2)) \times 80$$
$$\mathbf{672800} := (F(F(F(6)))/F(7) - F(2)) \times 800$$

$$\mathbf{7448} := (F(F(7)) \times 4 - F(F(F(4)))) \times 8$$
$$\mathbf{74480} := (F(F(7)) \times 4 - F(F(F(4)))) \times 80$$
$$\mathbf{744800} := (F(F(7)) \times 4 - F(F(F(4)))) \times 800$$

$$\mathbf{7645} := (F(F(7)) + 6^4) \times 5$$
$$\mathbf{76450} := (F(F(7)) + 6^4) \times 50$$
$$\mathbf{764500} := (F(F(7)) + 6^4) \times 500$$

$$\mathbf{7985} := F(-F(7) + 9 + F(8)) \times 5$$
$$\mathbf{79850} := F(-F(7) + 9 + F(8)) \times 50$$
$$\mathbf{798500} := F(-F(7) + 9 + F(8)) \times 500$$

$$\mathbf{8352} := (F(F(8) - F(3)) - 5) \times 2$$
$$\mathbf{83520} := (F(F(8) - F(3)) - 5) \times 20$$
$$\mathbf{835200} := (F(F(8) - F(3)) - 5) \times 200$$

$$\mathbf{9248} := F(9)^{-2+4} \times 8$$
$$\mathbf{92480} := F(9)^{-2+4} \times 80$$
$$\mathbf{924800} := F(9)^{-2+4} \times 800$$

$$\mathbf{10443} := (F(10) + 4)^{F(F(4))} \times 3$$
$$\mathbf{104430} := (F(10) + 4)^{F(F(4))} \times 30$$
$$\mathbf{1044300} := (F(10) + 4)^{F(F(4))} \times 300$$

$$\mathbf{11125} := F(11) \times 125$$
$$\mathbf{111250} := F(11) \times 1250$$
$$\mathbf{1112500} := F(11) \times 12500$$

$$\mathbf{11264} := 11 \times 2^{F(6)} \times 4$$
$$\mathbf{112640} := 11 \times 2^{F(6)} \times 40$$
$$\mathbf{1126400} := 11 \times 2^{F(6)} \times 400$$

$$\mathbf{11466} := (F(11) + F(F(4))) \times F(F(6)) \times 6$$
$$\mathbf{114660} := (F(11) + F(F(4))) \times F(F(6)) \times 60$$
$$\mathbf{1146600} := (F(11) + F(F(4))) \times F(F(6)) \times 600$$

$$\mathbf{11837} := F(11) \times (F(8) - F(3)) \times 7$$
$$\mathbf{118370} := F(11) \times (F(8) - F(3)) \times 70$$
$$\mathbf{1183700} := F(11) \times (F(8) - F(3)) \times 700$$

$$\mathbf{11844} := F((1+1) \times 8) \times F(4) \times 4$$
$$\mathbf{118440} := F((1+1) \times 8) \times F(4) \times 40$$
$$\mathbf{1184400} := F((1+1) \times 8) \times F(4) \times 400$$

$$\mathbf{12264} := (F(12) + 2) \times F(F(6)) \times 4$$
$$\mathbf{122640} := (F(12) + 2) \times F(F(6)) \times 40$$
$$\mathbf{1226400} := (F(12) + 2) \times F(F(6)) \times 400$$

$$\mathbf{12543} := F((1+2) \times 5 + 4) \times 3$$
$$\mathbf{125430} := F((1+2) \times 5 + 4) \times 30$$
$$\mathbf{1254300} := F((1+2) \times 5 + 4) \times 300$$

$$\mathbf{12768} := (-1 + F(2 + 7 + F(6))) \times 8$$
$$\mathbf{127680} := (-1 + F(2 + 7 + F(6))) \times 80$$
$$\mathbf{1276800} := (-1 + F(2 + 7 + F(6))) \times 800$$

$$\mathbf{12915} := (-1 + F(2 \times 9)) \times 1 \times 5$$
$$\mathbf{129150} := (-1 + F(2 \times 9)) \times 1 \times 50$$
$$\mathbf{1291500} := (-1 + F(2 \times 9)) \times 1 \times 500$$

$$\mathbf{12925} := (1^2 + F(9 \times 2)) \times 5$$
$$\mathbf{129250} := (1^2 + F(9 \times 2)) \times 50$$
$$\mathbf{1292500} := (1^2 + F(9 \times 2)) \times 500$$

$$\mathbf{12935} := (F(1 \times 2 \times 9) + 3) \times 5$$
$$\mathbf{129350} := (F(1 \times 2 \times 9) + 3) \times 50$$
$$\mathbf{1293500} := (F(1 \times 2 \times 9) + 3) \times 500$$

$$\mathbf{12945} := (1 + F(2 \times 9) + 4) \times 5$$
$$\mathbf{129450} := (1 + F(2 \times 9) + 4) \times 50$$
$$\mathbf{1294500} := (1 + F(2 \times 9) + 4) \times 500$$

$$\mathbf{12965} := (1 + F(2 \times 9) + F(6)) \times 5$$
$$\mathbf{129650} := (1 + F(2 \times 9) + F(6)) \times 50$$
$$\mathbf{1296500} := (1 + F(2 \times 9) + F(6)) \times 500$$

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$$13765 := (-1 - F(3)^{F(7)} + F(F(F(6)))) \times 5$$
$$137650 := (-1 - F(3)^{F(7)} + F(F(F(6)))) \times 50$$
$$1376500 := (-1 - F(3)^{F(7)} + F(F(F(6)))) \times 500$$

$$13975 := (-1 + (3+9) \times F(F(7))) \times 5$$
$$139750 := (-1 + (3+9) \times F(F(7))) \times 50$$
$$1397500 := (-1 + (3+9) \times F(F(7))) \times 500$$

$$14637 := (1 + F(-F(F(4)) + F(F(6))))/(F(3)) \times 7$$
$$146370 := (1 + F(-F(F(4)) + F(F(6))))/(F(3)) \times 70$$
$$1463700 := (1 + F(-F(F(4)) + F(F(6))))/(F(3)) \times 700$$

$$14703 := F(14) \times F(7) \times 03$$
$$147030 := F(14) \times F(7) \times 030$$
$$1470300 := F(14) \times F(7) \times 0300$$

$$15225 := (F(15) - F(2)) \times 25$$
$$152250 := (F(15) - F(2)) \times 250$$
$$1522500 := (F(15) - F(2)) \times 2500$$

$$15325 := (F(15) + 3) \times 25$$
$$153250 := (F(15) + 3) \times 250$$
$$1532500 := (F(15) + 3) \times 2500$$

$$15792 := F(1+5) \times F(7+9) \times 2$$
$$157920 := F(1+5) \times F(7+9) \times 20$$
$$1579200 := F(1+5) \times F(7+9) \times 200$$

$$16372 := (-1 \times 6 + F(3)^{F(7)}) \times 2$$
$$163720 := (-1 \times 6 + F(3)^{F(7)}) \times 20$$
$$1637200 := (-1 \times 6 + F(3)^{F(7)}) \times 200$$

$$16413 := (-1 + F(F(F(6)))/F(F(4)) - 1) \times 3$$
$$164130 := (-1 + F(F(F(6)))/F(F(4)) - 1) \times 30$$
$$1641300 := (-1 + F(F(F(6)))/F(F(4)) - 1) \times 300$$

$$16464 := (-1 + F(F(6)) + 4^6) \times 4$$
$$164640 := (-1 + F(F(6)) + 4^6) \times 40$$
$$1646400 := (-1 + F(F(6)) + 4^6) \times 400$$

$$16479 := (-1 - F(6) \times (4 - F(F(7)))) \times 9$$
$$164790 := (-1 - F(6) \times (4 - F(F(7)))) \times 90$$
$$1647900 := (-1 - F(6) \times (4 - F(F(7)))) \times 900$$

$$16644 := (1 - F(F(6)) + F(F(F(6)) - F(F(4)))) \times 4$$
$$166440 := (1 - F(F(6)) + F(F(F(6)) - F(F(4)))) \times 40$$
$$1664400 := (1 - F(F(6)) + F(F(F(6)) - F(F(4)))) \times 400$$

$$16722 := (-1 + F(6 + F(7)) \times 2) \times 2$$
$$167220 := (-1 + F(6 + F(7)) \times 2) \times 20$$
$$1672200 := (-1 + F(6 + F(7)) \times 2) \times 200$$

$$16724 := F(-1 + 6 + 7 \times 2) \times 4$$
$$167240 := F(-1 + 6 + 7 \times 2) \times 40$$
$$1672400 := F(-1 + 6 + 7 \times 2) \times 400$$

$$16728 := (1 + F(6 + F(7)))/2 \times 8$$
$$167280 := (1 + F(6 + F(7)))/2 \times 80$$
$$1672800 := (1 + F(6 + F(7)))/2 \times 800$$

$$16744 := (1 + F(6 + F(7)) + 4) \times 4$$
$$167440 := (1 + F(6 + F(7)) + 4) \times 40$$
$$1674400 := (1 + F(6 + F(7)) + 4) \times 400$$

$$16749 := (F(1 \times 6) \times F(F(7)) - F(4)) \times 9$$
$$167490 := (F(1 \times 6) \times F(F(7)) - F(4)) \times 90$$
$$1674900 := (F(1 \times 6) \times F(F(7)) - F(4)) \times 900$$

$$16935 := (F(-1 + F(F(6))) + 9)/F(3) \times 5$$
$$169350 := (F(-1 + F(F(6))) + 9)/F(3) \times 50$$
$$1693500 := (F(-1 + F(F(6))) + 9)/F(3) \times 500$$

$$17475 := F(17 - 4) \times 75$$
$$174750 := F(17 - 4) \times 750$$
$$1747500 := F(17 - 4) \times 7500$$

$$17568 := (-1 + F(7)^{-5+F(6)}) \times 8$$
$$175680 := (-1 + F(7)^{-5+F(6)}) \times 80$$
$$1756800 := (-1 + F(7)^{-5+F(6)}) \times 800$$

$$18235 := (-1 + (F(F(8)) - 2)/3) \times 5$$
$$182350 := (-1 + (F(F(8)) - 2)/3) \times 50$$
$$1823500 := (-1 + (F(F(8)) - 2)/3) \times 500$$

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$$18245 := (1+F(F(8)))/(-F(2)+4)\times 5$$
$$182450 := (1+F(F(8)))/(-F(2)+4)\times 50$$
$$1824500 := (1+F(F(8)))/(-F(2)+4)\times 500$$

$$18277 := (F(18)+27)\times 7$$
$$182770 := (F(18)+27)\times 70$$
$$1827700 := (F(18)+27)\times 700$$

$$18482 := (1+F(8)^{F(4)}-F(8))\times 2$$
$$184820 := (1+F(8)^{F(4)}-F(8))\times 20$$
$$1848200 := (1+F(8)^{F(4)}-F(8))\times 200$$

$$18522 := 1\times F(8)^{5-2}\times 2$$
$$185220 := 1\times F(8)^{5-2}\times 20$$
$$1852200 := 1\times F(8)^{5-2}\times 200$$

$$18756 := (1+(-8+F(7))^5)\times 6$$
$$187560 := (1+(-8+F(7))^5)\times 60$$
$$1875600 := (1+(-8+F(7))^5)\times 600$$

$$19552 := (-1+F(9+5))\times 52$$
$$195520 := (-1+F(9+5))\times 520$$
$$1955200 := (-1+F(9+5))\times 5200$$

$$19735 := (F(19)-F(F(7))-F(F(3)))\times 5$$
$$197350 := (F(19)-F(F(7))-F(F(3)))\times 50$$
$$1973500 := (F(19)-F(F(7))-F(F(3)))\times 500$$

$$19745 := (1+F(9+7)\times 4)\times 5$$
$$197450 := (1+F(9+7)\times 4)\times 50$$
$$1974500 := (1+F(9+7)\times 4)\times 500$$

$$19775 := (F(19)+7-F(F(7)))\times 5$$
$$197750 := (F(19)+7-F(F(7)))\times 50$$
$$1977500 := (F(19)+7-F(F(7)))\times 500$$

$$19845 := F(-1+9)\times F(8)\times 45$$
$$198450 := F(-1+9)\times F(8)\times 450$$
$$1984500 := F(-1+9)\times F(8)\times 4500$$

$$19986 := (-1+F(9)\times 98)\times 6$$
$$199860 := (-1+F(9)\times 98)\times 60$$
$$1998600 := (-1+F(9)\times 98)\times 600$$

$$20193 := (F(20)\times 1-F(9))\times 3$$
$$201930 := (F(20)\times 1-F(9))\times 30$$
$$2019300 := (F(20)\times 1-F(9))\times 300$$

$$20343 := (F(20)+F(3)^4)\times 3$$
$$203430 := (F(20)+F(3)^4)\times 30$$
$$2034300 := (F(20)+F(3)^4)\times 300$$

$$20373 := (F(20)+F(3)\times F(7))\times 3$$
$$203730 := (F(20)+F(3)\times F(7))\times 30$$
$$2037300 := (F(20)+F(3)\times F(7))\times 300$$

$$20865 := (F(-2+F(08))-F(6))\times 5$$
$$208650 := (F(-2+F(08))-F(6))\times 50$$
$$2086500 := (F(-2+F(08))-F(6))\times 500$$

$$21782 := (-F(2+1+7)+F(F(8)))\times 2$$
$$217820 := (-F(2+1+7)+F(F(8)))\times 20$$
$$2178200 := (-F(2+1+7)+F(F(8)))\times 200$$

$$21842 := (F(21)-F(8)-4)\times 2$$
$$21842 := (F(21)-F(8)-4)\times 2$$
$$218420 := (F(21)-F(8)-4)\times 20$$
$$218420 := (F(21)-F(8)-4)\times 20$$
$$2184200 := (F(21)-F(8)-4)\times 200$$

$$2184200 := (F(21)-F(8)-4)\times 200$$

$$21862 := (F(21)-F(8)+6)\times 2$$
$$218620 := (F(21)-F(8)+6)\times 20$$
$$2186200 := (F(21)-F(8)+6)\times 200$$

$$21872 := (-2-1+F(F(8))-7)\times 2$$
$$218720 := (-2-1+F(F(8))-7)\times 20$$
$$2187200 := (-2-1+F(F(8))-7)\times 200$$

$$21892 := F(21)\times(-8+9)\times 2$$
$$218920 := F(21)\times(-8+9)\times 20$$
$$2189200 := F(21)\times(-8+9)\times 200$$

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$$\mathbf{21912} := (F(21)+9+1)\times 2$$
$$\mathbf{219120} := (F(21)+9+1)\times 20$$
$$\mathbf{2191200} := (F(21)+9+1)\times 200$$

$$\mathbf{22995} := (-F(2)+2^9)\times 9\times 5$$
$$\mathbf{229950} := (-F(2)+2^9)\times 9\times 50$$
$$\mathbf{2299500} := (-F(2)+2^9)\times 9\times 500$$

$$\mathbf{23676} := (-2+F(-F(3)+F(F(6)))-F(F(7)))\times 6$$
$$\mathbf{236760} := (-2+F(-F(3)+F(F(6)))-F(F(7)))\times 60$$
$$\mathbf{2367600} := (-2+F(-F(3)+F(F(6)))-F(F(7)))\times 600$$

$$\mathbf{23826} := (2+(3\times F(8))^2)\times 6$$
$$\mathbf{238260} := (2+(3\times F(8))^2)\times 60$$
$$\mathbf{2382600} := (2+(3\times F(8))^2)\times 600$$

$$\mathbf{23945} := (-2+3\times F(F(9)/F(F(4))))\times 5$$
$$\mathbf{239450} := (-2+3\times F(F(9)/F(F(4))))\times 50$$
$$\mathbf{2394500} := (-2+3\times F(F(9)/F(F(4))))\times 500$$

$$\mathbf{23965} := (2+3\times F(9+F(6)))\times 5$$
$$\mathbf{239650} := (2+3\times F(9+F(6)))\times 50$$
$$\mathbf{2396500} := (2+3\times F(9+F(6)))\times 500$$

$$\mathbf{24255} := F(2\times 4)^2\times 55$$
$$\mathbf{242550} := F(2\times 4)^2\times 550$$
$$\mathbf{2425500} := F(2\times 4)^2\times 5500$$

$$\mathbf{24465} := F(2^4-F(4))\times F(F(6))\times 5$$
$$\mathbf{244650} := F(2^4-F(4))\times F(F(6))\times 50$$
$$\mathbf{2446500} := F(2^4-F(4))\times F(F(6))\times 500$$

$$\mathbf{24475} := (2+F(4+4)\times F(F(7)))\times 5$$
$$\mathbf{244750} := (2+F(4+4)\times F(F(7)))\times 50$$
$$\mathbf{2447500} := (2+F(4+4)\times F(F(7)))\times 500$$

$$\mathbf{24573} := (-F(2)+(-F(4)+5)^{F(7)})\times 3$$
$$\mathbf{245730} := (-F(2)+(-F(4)+5)^{F(7)})\times 30$$
$$\mathbf{2457300} := (-F(2)+(-F(4)+5)^{F(7)})\times 300$$

$$\mathbf{24675} := F(2^4)\times(-F(6)+F(7))\times 5$$
$$\mathbf{246750} := F(2^4)\times(-F(6)+F(7))\times 50$$
$$\mathbf{2467500} := F(2^4)\times(-F(6)+F(7))\times 500$$

$$\mathbf{24785} := (F(2)+(F(4)+F(F(7)))\times F(8))\times 5$$
$$\mathbf{247850} := (F(2)+(F(4)+F(F(7)))\times F(8))\times 50$$
$$\mathbf{2478500} := (F(2)+(F(4)+F(F(7)))\times F(8))\times 500$$

$$\mathbf{24843} := (2+F(F(4)+8))^{F(F(4))}\times 3$$
$$\mathbf{248430} := (2+F(F(4)+8))^{F(F(4))}\times 30$$
$$\mathbf{2484300} := (2+F(F(4)+8))^{F(F(4))}\times 300$$

$$\mathbf{24997} := (F(2^4)+F(9+9))\times 7$$
$$\mathbf{249970} := (F(2^4)+F(9+9))\times 70$$
$$\mathbf{2499700} := (F(2^4)+F(9+9))\times 700$$

$$\mathbf{25775} := (2\times F(5+F(7))-F(7))\times 5$$
$$\mathbf{257750} := (2\times F(5+F(7))-F(7))\times 50$$
$$\mathbf{2577500} := (2\times F(5+F(7))-F(7))\times 500$$

$$\mathbf{25795} := (2\times F(5+F(7))-9)\times 5$$
$$\mathbf{257950} := (2\times F(5+F(7))-9)\times 50$$
$$\mathbf{2579500} := (2\times F(5+F(7))-9)\times 500$$

$$\mathbf{26047} := (F(2)+60)^{F(F(4))}\times 7$$
$$\mathbf{260470} := (F(2)+60)^{F(F(4))}\times 70$$
$$\mathbf{2604700} := (F(2)+60)^{F(F(4))}\times 700$$

$$\mathbf{26244} := (F(2)+6+2)^4\times 4$$
$$\mathbf{262440} := (F(2)+6+2)^4\times 40$$
$$\mathbf{2624400} := (F(2)+6+2)^4\times 400$$

$$\mathbf{26411} := (F(2)+6)^4\times 11$$
$$\mathbf{264110} := (F(2)+6)^4\times 110$$
$$\mathbf{2641100} := (F(2)+6)^4\times 1100$$

$$\mathbf{26464} := (F(2+F(6))+F(4)^{F(6)})\times 4$$
$$\mathbf{264640} := (F(2+F(6))+F(4)^{F(6)})\times 40$$
$$\mathbf{2646400} := (F(2+F(6))+F(4)^{F(6)})\times 400$$

$$\mathbf{26484} := (F(-F(2)+F(F(6)))-F(4+8))\times 4$$

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$$264840 := (F(-F(2)+F(F(6)))-F(4+8))\times 40$$
$$2648400 := (F(-F(2)+F(F(6)))-F(4+8))\times 400$$

$$26645 := (-F(2\times 6)+F(F(F(6)))/F(F(4)))\times 5$$
$$266450 := (-F(2\times 6)+F(F(F(6)))/F(F(4)))\times 50$$
$$2664500 := (-F(2\times 6)+F(F(F(6)))/F(F(4)))\times 500$$

$$26675 := (F(2)+F(F(6))\times(F(F(6))+F(F(7))))\times 5$$
$$266750 := (F(2)+F(F(6))\times(F(F(6))+F(F(7))))\times 50$$
$$2667500 := (F(2)+F(F(6))\times(F(F(6))+F(F(7))))\times 500$$

$$26765 := ((2+F(F(6)))\times F(F(7))-6)\times 5$$
$$267650 := ((2+F(F(6)))\times F(F(7))-6)\times 50$$
$$2676500 := ((2+F(F(6)))\times F(F(7))-6)\times 500$$

$$26855 := (2^{F(6)}\times F(8)-5)\times 5$$
$$268550 := (2^{F(6)}\times F(8)-5)\times 50$$
$$2685500 := (2^{F(6)}\times F(8)-5)\times 500$$

$$27164 := (2\times F(7)+F(-1+F(F(6))))\times 4$$
$$271640 := (2\times F(7)+F(-1+F(F(6))))\times 40$$
$$2716400 := (2\times F(7)+F(-1+F(F(6))))\times 400$$

$$27279 := (2+F(F(7))\times F(2)\times F(7))\times 9$$
$$272790 := (2+F(F(7))\times F(2)\times F(7))\times 90$$
$$2727900 := (2+F(F(7))\times F(2)\times F(7))\times 900$$

$$27345 := (F(F(F(2)+7))/F(3)-4)\times 5$$
$$273450 := (F(F(F(2)+7))/F(3)-4)\times 50$$
$$2734500 := (F(F(F(2)+7))/F(3)-4)\times 500$$

$$27365 := F(F(F(2)+7))/F(-3+6)\times 5$$
$$273650 := F(F(F(2)+7))/F(-3+6)\times 50$$
$$2736500 := F(F(F(2)+7))/F(-3+6)\times 500$$

$$27675 := (F(2\times 7)-F(6))\times 75$$
$$276750 := (F(2\times 7)-F(6))\times 750$$
$$2767500 := (F(2\times 7)-F(6))\times 7500$$

$$27963 := (F(2)+F(F(7))\times(F(9)+6))\times 3$$
$$279630 := (F(2)+F(F(7))\times(F(9)+6))\times 30$$
$$2796300 := (F(2)+F(F(7))\times(F(9)+6))\times 300$$

$$27964 := (F(2)+F(F(7))\times(9+F(F(6))))\times 4$$
$$279640 := (F(2)+F(F(7))\times(9+F(F(6))))\times 40$$
$$2796400 := (F(2)+F(F(7))\times(9+F(F(6))))\times 400$$

$$27968 := (F(2)+F(F(7))\times(9+6))\times 8$$
$$279680 := (F(2)+F(F(7))\times(9+6))\times 80$$
$$2796800 := (F(2)+F(F(7))\times(9+6))\times 800$$

$$28275 := F(2\times 8-2)\times 75$$
$$282750 := F(2\times 8-2)\times 750$$
$$2827500 := F(2\times 8-2)\times 7500$$

$$28288 := (F(2)+F(8)^2)\times 8\times 8$$
$$282880 := (F(2)+F(8)^2)\times 8\times 80$$
$$2828800 := (F(2)+F(8)^2)\times 8\times 800$$

$$28672 := 2^8\times F(6)\times 7\times 2$$
$$286720 := 2^8\times F(6)\times 7\times 20$$
$$2867200 := 2^8\times F(6)\times 7\times 200$$

$$28746 := F(2+8+7)\times F(4)\times 6$$
$$287460 := F(2+8+7)\times F(4)\times 60$$
$$2874600 := F(2+8+7)\times F(4)\times 600$$

$$28824 := (F(-F(2)+F(8))+F(8)^2)\times 4$$
$$288240 := (F(-F(2)+F(8))+F(8)^2)\times 40$$
$$2882400 := (F(-F(2)+F(8))+F(8)^2)\times 400$$

$$29197 := (-F(2)-9+F(19))\times 7$$
$$291970 := (-F(2)-9+F(19))\times 70$$
$$2919700 := (-F(2)-9+F(19))\times 700$$

$$29466 := (-2+F(9)^{F(4)}/F(6))\times 6$$
$$294660 := (-2+F(9)^{F(4)}/F(6))\times 60$$
$$2946600 := (-2+F(9)^{F(4)}/F(6))\times 600$$

$$29766 := (2\times F(9)+F(F(7))\times F(F(6)))\times 6$$
$$297660 := (2\times F(9)+F(F(7))\times F(F(6)))\times 60$$
$$2976600 := (2\times F(9)+F(F(7))\times F(F(6)))\times 600$$

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$$29989 := F(2) + F(9) \times 98 \times 9$$
$$299890 := F(2) + F(9) \times 98 \times 90$$
$$2998900 := F(2) + F(9) \times 98 \times 900$$

$$31648 := (F(3) + F(16)) \times 4 \times 8$$
$$316480 := (F(3) + F(16)) \times 4 \times 80$$
$$3164800 := (F(3) + F(16)) \times 4 \times 800$$

$$32463 := (-(3+2)^{F(4)} + F(F(F(6)))) \times 3$$
$$324630 := (-(3+2)^{F(4)} + F(F(F(6)))) \times 30$$
$$3246300 := (-(3+2)^{F(4)} + F(F(F(6)))) \times 300$$

$$32675 := (3 + F(-F(2) + F(F(6))) - F(F(7))) \times 5$$
$$326750 := (3 + F(-F(2) + F(F(6))) - F(F(7))) \times 50$$
$$3267500 := (3 + F(-F(2) + F(F(6))) - F(F(7))) \times 500$$

$$32684 := (F(3)^{F(F(2)+6)} - F(8)) \times 4$$
$$326840 := (F(3)^{F(F(2)+6)} - F(8)) \times 40$$
$$3268400 := (F(3)^{F(F(2)+6)} - F(8)) \times 400$$

$$32744 := (-F(3) + 2^{F(7)} - 4) \times 4$$
$$327440 := (-F(3) + 2^{F(7)} - 4) \times 40$$
$$3274400 := (-F(3) + 2^{F(7)} - 4) \times 400$$

$$32747 := F(3)^{2+F(7)} - F(4) \times 7$$
$$327470 := F(3)^{2+F(7)} - F(4) \times 70$$
$$3274700 := F(3)^{2+F(7)} - F(4) \times 700$$

$$32753 := F(3)^{2+F(7)} - 5 \times 3$$
$$327530 := F(3)^{2+F(7)} - 5 \times 30$$
$$3275300 := F(3)^{2+F(7)} - 5 \times 300$$

$$32805 := (F(3) + F(2))^8 \times 05$$
$$328050 := (F(3) + F(2))^8 \times 050$$
$$3280500 := (F(3) + F(2))^8 \times 0500$$

$$32883 := (-3 \times 2 + F(8) + F(F(8))) \times 3$$
$$328830 := (-3 \times 2 + F(8) + F(F(8))) \times 30$$
$$3288300 := (-3 \times 2 + F(8) + F(F(8))) \times 300$$

$$32943 := (F(F(F(3 \times 2))) + F(9) + F(F(F(4)))) \times 3$$
$$329430 := (F(F(F(3 \times 2))) + F(9) + F(F(F(4)))) \times 30$$
$$3294300 := (F(F(F(3 \times 2))) + F(9) + F(F(F(4)))) \times 300$$

$$33448 := F(3^3 - 4 - 4) \times 8$$
$$334480 := F(3^3 - 4 - 4) \times 80$$
$$3344800 := F(3^3 - 4 - 4) \times 800$$

$$33488 := (3 + F(3) + F(-F(F(4)) + F(8))) \times 8$$
$$334880 := (3 + F(3) + F(-F(F(4)) + F(8))) \times 80$$
$$3348800 := (3 + F(3) + F(-F(F(4)) + F(8))) \times 800$$

$$33785 := (F(3^3 - 7) - 8) \times 5$$
$$337850 := (F(3^3 - 7) - 8) \times 50$$
$$3378500 := (F(3^3 - 7) - 8) \times 500$$

$$33815 := (F(F(3)) - 3 + F(F(8) - 1)) \times 5$$
$$338150 := (F(F(3)) - 3 + F(F(8) - 1)) \times 50$$
$$3381500 := (F(F(3)) - 3 + F(F(8) - 1)) \times 500$$

$$33835 := (F(3) + F((F(3) + 8) \times F(3))) \times 5$$
$$338350 := (F(3) + F((F(3) + 8) \times F(3))) \times 50$$
$$3383500 := (F(3) + F((F(3) + 8) \times F(3))) \times 500$$

$$33845 := (F(-3/3 + F(8)) + 4) \times 5$$
$$338450 := (F(-3/3 + F(8)) + 4) \times 50$$
$$3384500 := (F(-3/3 + F(8)) + 4) \times 500$$

$$33855 := (F(F(3)) + F(-F(F(3)) + F(8)) + 5) \times 5$$
$$338550 := (F(F(3)) + F(-F(F(3)) + F(8)) + 5) \times 50$$
$$3385500 := (F(F(3)) + F(-F(F(3)) + F(8)) + 5) \times 500$$

$$33865 := (F(-3/3 + F(8)) + F(6)) \times 5$$
$$338650 := (F(-3/3 + F(8)) + F(6)) \times 50$$
$$3386500 := (F(-3/3 + F(8)) + F(6)) \times 500$$

$$33875 := (-3 + F(-F(F(3)) + F(8)) + F(7)) \times 5$$
$$338750 := (-3 + F(-F(F(3)) + F(8)) + F(7)) \times 50$$
$$3387500 := (-3 + F(-F(F(3)) + F(8)) + F(7)) \times 500$$

$$33995 := (F(F(3) + F(3) \times 9) + F(9)) \times 5$$
$$339950 := (F(F(3) + F(3) \times 9) + F(9)) \times 50$$

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$3399500 := (F(F(3)+F(3)\times 9)+F(9))\times 500$

$34445 := (F(3)+F(4)^4)^{F(F(4))}\times 5$
$344450 := (F(3)+F(4)^4)^{F(F(4))}\times 50$
$3444500 := (F(3)+F(4)^4)^{F(F(4))}\times 500$

$34475 := (-F(3)+F(4\times 4))\times 7\times 5$
$344750 := (-F(3)+F(4\times 4))\times 7\times 50$
$3447500 := (-F(3)+F(4\times 4))\times 7\times 500$

$34545 := (F(3\times 4)+F(5\times 4))\times 5$
$345450 := (F(3\times 4)+F(5\times 4))\times 50$
$3454500 := (F(3\times 4)+F(5\times 4))\times 500$

$34848 := (3+F(4)\times F(8))^{F(F(4))}\times 8$
$348480 := (3+F(4)\times F(8))^{F(F(4))}\times 80$
$3484800 := (3+F(4)\times F(8))^{F(F(4))}\times 800$

$36485 := (-(F(F(3))+F(F(F(6))))/F(4)+F(F(8)))\times 5$
$364850 := (-(F(F(3))+F(F(F(6))))/F(4)+F(F(8)))\times 50$
$3648500 := (-(F(F(3))+F(F(F(6))))/F(4)+F(F(8)))\times 500$

$36875 := (F(-F(F(3))+F(F(6)))+F(8+7))\times 5$
$368750 := (F(-F(F(3))+F(F(6)))+F(8+7))\times 50$
$3687500 := (F(-F(F(3))+F(F(6)))+F(8+7))\times 500$

$36992 := F(3)\times F(6)\times F(9)\times F(9)\times 2$
$369920 := F(3)\times F(6)\times F(9)\times F(9)\times 20$
$3699200 := F(3)\times F(6)\times F(9)\times F(9)\times 200$

$36994 := F(3)+F(6)\times F(9)\times F(9)\times 4$
$369940 := F(3)+F(6)\times F(9)\times F(9)\times 40$
$3699400 := F(3)+F(6)\times F(9)\times F(9)\times 400$

$37044 := (3\times 7)^{F(04)}\times 4$
$370440 := (3\times 7)^{F(04)}\times 40$
$3704400 := (3\times 7)^{F(04)}\times 400$

$37288 := (F(F(3))+F(F(7))\times(-F(2)+F(8)))\times 8$
$372880 := (F(F(3))+F(F(7))\times(-F(2)+F(8)))\times 80$
$3728800 := (F(F(3))+F(F(7))\times(-F(2)+F(8)))\times 800$

$37295 := (-3+F(F(7)))\times(-2+F(9)))\times 5$
$372950 := (-3+F(F(7)))\times(-2+F(9)))\times 50$
$3729500 := (-3+F(F(7)))\times(-2+F(9)))\times 500$

$37392 := (-F(3+F(7))+3^9)\times 2$
$373920 := (-F(3+F(7))+3^9)\times 20$
$3739200 := (-F(3+F(7))+3^9)\times 200$

$37623 := (3\times F(F(7)+6)-2)\times 3$
$376230 := (3\times F(F(7)+6)-2)\times 30$
$3762300 := (3\times F(F(7)+6)-2)\times 300$

$37648 := (F(F(3)+F(7))+F(6)^4)\times 8$
$376480 := (F(F(3)+F(7))+F(6)^4)\times 80$
$3764800 := (F(F(3)+F(7))+F(6)^4)\times 800$

$38272 := (-F(3)+F(F(8))+2^{F(7)})\times 2$
$382720 := (-F(3)+F(F(8))+2^{F(7)})\times 20$
$3827200 := (-F(3)+F(F(8))+2^{F(7)})\times 200$

$38367 := (F(F(3))\times F(F(8))/F(3)+F(6))\times 7$
$383670 := (F(F(3))\times F(F(8))/F(3)+F(6))\times 70$
$3836700 := (F(F(3))\times F(F(8))/F(3)+F(6))\times 700$

$38635 := (F(3\times 8)/6-F(F(3)))\times 5$
$386350 := (F(3\times 8)/6-F(F(3)))\times 50$
$3863500 := (F(3\times 8)/6-F(F(3)))\times 500$

$38645 := (F(3\times 8)/6+F(F(F(4))))\times 5$
$386450 := (F(3\times 8)/6+F(F(F(4))))\times 50$
$3864500 := (F(3\times 8)/6+F(F(F(4))))\times 500$

$38675 := (F(3\times 8)/6+7)\times 5$
$386750 := (F(3\times 8)/6+7)\times 50$
$3867500 := (F(3\times 8)/6+7)\times 500$

$39168 := F(3+9)\times F(1+F(6))\times 8$
$391680 := F(3+9)\times F(1+F(6))\times 80$
$3916800 := F(3+9)\times F(1+F(6))\times 800$

$39275 := (F(F(3))+F(9)\times(-2+F(F(7))))\times 5$

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$$392750 := (F(F(3)) + F(9) \times (-2 + F(F(7)))) \times 50$$
$$3927500 := (F(F(3)) + F(9) \times (-2 + F(F(7)))) \times 500$$

$$39282 := (3^9 - 2 \times F(8)) \times 2$$
$$392820 := (3^9 - 2 \times F(8)) \times 20$$
$$3928200 := (3^9 - 2 \times F(8)) \times 200$$

$$39301 := -3 + F(9)^3 \times 01$$
$$393010 := -3 + F(9)^3 \times 010$$
$$3930100 := -3 + F(9)^3 \times 0100$$

$$39352 := (3^9 - F(3) - 5) \times 2$$
$$393520 := (3^9 - F(3) - 5) \times 20$$
$$3935200 := (3^9 - F(3) - 5) \times 200$$

$$39486 := (-F(F(3)) + 9^4 + F(8)) \times 6$$
$$394860 := (-F(F(3)) + 9^4 + F(8)) \times 60$$
$$3948600 := (-F(F(3)) + 9^4 + F(8)) \times 600$$

$$39615 := (F(F(3)) + F(9) \times F(F(6+1))) \times 5$$
$$396150 := (F(F(3)) + F(9) \times F(F(6+1))) \times 50$$
$$3961500 := (F(F(3)) + F(9) \times F(F(6+1))) \times 500$$

$$39625 := (3 + F(9) \times F(F(F(6) - F(2)))) \times 5$$
$$396250 := (3 + F(9) \times F(F(F(6) - F(2)))) \times 50$$
$$3962500 := (3 + F(9) \times F(F(F(6) - F(2)))) \times 500$$

$$39795 := (3 + F(9) \times F(F(7)) + F(9)) \times 5$$
$$397950 := (3 + F(9) \times F(F(7)) + F(9)) \times 50$$
$$3979500 := (3 + F(9) \times F(F(7)) + F(9)) \times 500$$

$$39832 := (3^9 + F(F(F(8)/3))) \times 2$$
$$398320 := (3^9 + F(F(F(8)/3))) \times 20$$
$$3983200 := (3^9 + F(F(F(8)/3))) \times 200$$

$$39984 := 3 \times F(9) \times 98 \times 4$$
$$399840 := 3 \times F(9) \times 98 \times 40$$
$$3998400 := 3 \times F(9) \times 98 \times 400$$

$$42336 := (4 \times F(2^3))^{F(3)} \times 6$$
$$423360 := (4 \times F(2^3))^{F(3)} \times 60$$
$$4233600 := (4 \times F(2^3))^{F(3)} \times 600$$

$$42849 := (F(4) \times (2 + F(8)))^{F(F(4))} \times 9$$
$$428490 := (F(4) \times (2 + F(8)))^{F(F(4))} \times 90$$
$$4284900 := (F(4) \times (2 + F(8)))^{F(F(4))} \times 900$$

$$42864 := (F(4) - F(F(-F(2) + 8)) + F(F(F(6)))) \times 4$$
$$428640 := (F(4) - F(F(-F(2) + 8)) + F(F(F(6)))) \times 40$$
$$4286400 := (F(4) - F(F(-F(2) + 8)) + F(F(F(6)))) \times 400$$

$$42872 := 4 \times (2 + F(8)) \times F(F(7)) \times 2$$
$$428720 := 4 \times (2 + F(8)) \times F(F(7)) \times 20$$
$$4287200 := 4 \times (2 + F(8)) \times F(F(7)) \times 200$$

$$43464 := (F(F(F(4))) - 3^4 + F(F(F(6)))) \times 4$$
$$434640 := (F(F(F(4))) - 3^4 + F(F(F(6)))) \times 40$$
$$4346400 := (F(F(F(4))) - 3^4 + F(F(F(6)))) \times 400$$

$$43664 := (-F(4) \times 3 + F(F(F(6))) - F(F(6))) \times 4$$
$$436640 := (-F(4) \times 3 + F(F(F(6))) - F(F(6))) \times 40$$
$$4366400 := (-F(4) \times 3 + F(F(F(6))) - F(F(6))) \times 400$$

$$43684 := (-4 - F(F(3) + 6) + F(F(8))) \times 4$$
$$436840 := (-4 - F(F(3) + 6) + F(F(8))) \times 40$$
$$4368400 := (-4 - F(F(3) + 6) + F(F(8))) \times 400$$

$$43685 := (F(4)^{3+6} - F(F(8))) \times 5$$
$$436850 := (F(4)^{3+6} - F(F(8))) \times 50$$
$$4368500 := (F(4)^{3+6} - F(F(8))) \times 500$$

$$43735 := (4 \times 3^7 - F(F(3))) \times 5$$
$$437350 := (4 \times 3^7 - F(F(3))) \times 50$$
$$4373500 := (4 \times 3^7 - F(F(3))) \times 500$$

$$43745 := (F(F(F(4))) + 3^7 \times 4) \times 5$$
$$437450 := (F(F(F(4))) + 3^7 \times 4) \times 50$$
$$4374500 := (F(F(F(4))) + 3^7 \times 4) \times 500$$

$$43824 := (4 \times F(3) + F(F(8)) + 2) \times 4$$
$$438240 := (4 \times F(3) + F(F(8)) + 2) \times 40$$
$$4382400 := (4 \times F(3) + F(F(8)) + 2) \times 400$$

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$$43844 := (4 \times 3 + F(F(8)) + F(4)) \times 4$$
$$438440 := (4 \times 3 + F(F(8)) + F(4)) \times 40$$
$$4384400 := (4 \times 3 + F(F(8)) + F(4)) \times 400$$

$$43864 := (-4 + 3 + F(F(8)) + F(F(6))) \times 4$$
$$438640 := (-4 + 3 + F(F(8)) + F(F(6))) \times 40$$
$$4386400 := (-4 + 3 + F(F(8)) + F(F(6))) \times 400$$

$$43884 := (F(F(4)) + F(3) + F(8) + F(F(8))) \times 4$$
$$438840 := (F(F(4)) + F(3) + F(8) + F(F(8))) \times 40$$
$$4388400 := (F(F(4)) + F(3) + F(8) + F(F(8))) \times 400$$

$$43964 := ((F(4) + F(3)) \times 9 + F(F(F(6)))) \times 4$$
$$439640 := ((F(4) + F(3)) \times 9 + F(F(F(6)))) \times 40$$
$$4396400 := ((F(4) + F(3)) \times 9 + F(F(F(6)))) \times 400$$

$$43984 := (4^{F(3)} + F(9) + F(F(8))) \times 4$$
$$439840 := (4^{F(3)} + F(9) + F(F(8))) \times 40$$
$$4398400 := (4^{F(3)} + F(9) + F(F(8))) \times 400$$

$$44364 := (F(F(4) \times 4) + F(F(3)) + F(F(F(6)))) \times 4$$
$$443640 := (F(F(4) \times 4) + F(F(3)) + F(F(F(6)))) \times 40$$
$$4436400 := (F(F(4) \times 4) + F(F(3)) + F(F(F(6)))) \times 400$$

$$44395 := (-4 + F(4^{F(3)}) \times 9) \times 5$$
$$443950 := (-4 + F(4^{F(3)}) \times 9) \times 50$$
$$4439500 := (-4 + F(4^{F(3)}) \times 9) \times 500$$

$$44415 := F(4) \times F(4 \times 4) \times 15$$
$$444150 := F(4) \times F(4 \times 4) \times 150$$
$$4441500 := F(4) \times F(4 \times 4) \times 1500$$

$$44664 := (4 \times F(4 + 6) + F(F(F(6)))) \times 4$$
$$446640 := (4 \times F(4 + 6) + F(F(F(6)))) \times 40$$
$$4466400 := (4 \times F(4 + 6) + F(F(F(6)))) \times 400$$

$$44684 := (F(F(F(4) + 4)) - F(6) + F(F(8))) \times 4$$
$$446840 := (F(F(F(4) + 4)) - F(6) + F(F(8))) \times 40$$
$$4468400 := (F(F(F(4) + 4)) - F(6) + F(F(8))) \times 400$$

$$44724 := (F(F(4 + 4)) + F(F(7)) + 2) \times 4$$
$$447240 := (F(F(4 + 4)) + F(F(7)) + 2) \times 40$$
$$4472400 := (F(F(4 + 4)) + F(F(7)) + 2) \times 400$$

$$44733 := (4^{F(4)} \times F(F(7)) - F(F(3))) \times 3$$
$$447330 := (4^{F(4)} \times F(F(7)) - F(F(3))) \times 30$$
$$4473300 := (4^{F(4)} \times F(F(7)) - F(F(3))) \times 300$$

$$44737 := (4 \times F(4 + F(7)) + 3) \times 7$$
$$447370 := (4 \times F(4 + F(7)) + 3) \times 70$$
$$4473700 := (4 \times F(4 + F(7)) + 3) \times 700$$

$$44764 := (F(4) \times 4 + F(F(7)) + F(F(F(6)))) \times 4$$
$$447640 := (F(4) \times 4 + F(F(7)) + F(F(F(6)))) \times 40$$
$$4476400 := (F(4) \times 4 + F(F(7)) + F(F(F(6)))) \times 400$$

$$44768 := (4 + 4 \times F(F(7)) \times 6) \times 8$$
$$447680 := (4 + 4 \times F(F(7)) \times 6) \times 80$$
$$4476800 := (4 + 4 \times F(F(7)) \times 6) \times 800$$

$$45384 := ((4 \times 5)^{F(3)} + F(F(8))) \times 4$$
$$453840 := ((4 \times 5)^{F(3)} + F(F(8))) \times 40$$
$$4538400 := ((4 \times 5)^{F(3)} + F(F(8))) \times 400$$

$$45696 := 4 \times 56 \times F(9) \times 6$$
$$456960 := 4 \times 56 \times F(9) \times 60$$
$$4569600 := 4 \times 56 \times F(9) \times 600$$

$$45717 := (F(4 \times 5) - F(F(7)) - 1) \times 7$$
$$457170 := (F(4 \times 5) - F(F(7)) - 1) \times 70$$
$$4571700 := (F(4 \times 5) - F(F(7)) - 1) \times 700$$

$$45832 := (4^5 + F(F(8)) \times F(3)) \times 2$$
$$458320 := (4^5 + F(F(8)) \times F(3)) \times 20$$
$$4583200 := (4^5 + F(F(8)) \times F(3)) \times 200$$

$$46137 := F(4) \times F(6 + 1)^3 \times 7$$
$$461370 := F(4) \times F(6 + 1)^3 \times 70$$
$$4613700 := F(4) \times F(6 + 1)^3 \times 700$$

$$46353 := (F(4 \times 6)/3 - 5) \times 3$$
$$463530 := (F(4 \times 6)/3 - 5) \times 30$$

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$$4635300 := (F(4\times 6)/3-5)\times 300$$

$$46488 := ((F(4)\times 6)^{F(4)}-F(8))\times 8$$
$$464880 := ((F(4)\times 6)^{F(4)}-F(8))\times 80$$
$$4648800 := ((F(4)\times 6)^{F(4)}-F(8))\times 800$$

$$46495 := (4+F(F(6))^{F(4)}+F(9))\times 5$$
$$464950 := (4+F(F(6))^{F(4)}+F(9))\times 50$$
$$4649500 := (4+F(F(6))^{F(4)}+F(9))\times 500$$

$$46768 := ((4+F(F(6)))\times F(F(7))+F(F(6)))\times 8$$
$$467680 := ((4+F(F(6)))\times F(F(7))+F(F(6)))\times 80$$
$$4676800 := ((4+F(F(6)))\times F(F(7))+F(F(6)))\times 800$$

$$46865 := (F(4)^6-8)\times 65$$
$$468650 := (F(4)^6-8)\times 650$$
$$4686500 := (F(4)^6-8)\times 6500$$

$$47327 := (-4+F((7+3)\times 2))\times 7$$
$$473270 := (-4+F((7+3)\times 2))\times 70$$
$$4732700 := (-4+F((7+3)\times 2))\times 700$$

$$47365 := (-4+F(7)\times 3^6)\times 5$$
$$473650 := (-4+F(7)\times 3^6)\times 50$$
$$4736500 := (-4+F(7)\times 3^6)\times 500$$

$$47368 := (-F(F(F(4)))+F(F(7)+3)\times 6)\times 8$$
$$473680 := (-F(F(F(4)))+F(F(7)+3)\times 6)\times 80$$
$$4736800 := (-F(F(F(4)))+F(F(7)+3)\times 6)\times 800$$

$$47464 := ((-F(4)+F(F(7)))\times 4+F(F(F(6))))\times 4$$
$$474640 := ((-F(4)+F(F(7)))\times 4+F(F(F(6))))\times 40$$
$$4746400 := ((-F(4)+F(F(7)))\times 4+F(F(F(6))))\times 400$$

$$47467 := (F(4)+F(7)+F(-F(F(F(4)))+F(F(6))))\times 7$$
$$474670 := (F(4)+F(7)+F(-F(F(F(4)))+F(F(6))))\times 70$$
$$4746700 := (F(4)+F(7)+F(-F(F(F(4)))+F(F(6))))\times 700$$

$$47526 := F(4+7)^{F(5-2)}\times 6$$
$$475260 := F(4+7)^{F(5-2)}\times 60$$
$$4752600 := F(4+7)^{F(5-2)}\times 600$$

$$47736 := (F(F(4))^{F(7)}-F(F(7))-3)\times 6$$
$$477360 := (F(F(4))^{F(7)}-F(F(7))-3)\times 60$$
$$4773600 := (F(F(4))^{F(7)}-F(F(7))-3)\times 600$$

$$47784 := (F(F(4)+F(7))+F(7)+F(F(8)))\times 4$$
$$477840 := (F(F(4)+F(7))+F(7)+F(F(8)))\times 40$$
$$4778400 := (F(F(4)+F(7))+F(7)+F(F(8)))\times 400$$

$$47845 := (F(F(4))^{F(7)}+F(F(8)))/F(F(4))\times 5$$
$$478450 := (F(F(4))^{F(7)}+F(F(8)))/F(F(4))\times 50$$
$$4784500 := (F(F(4))^{F(7)}+F(F(8)))/F(F(4))\times 500$$

$$47946 := ((F(F(4))+F(F(7)))\times F(9)+F(F(F(4))))\times 6$$
$$479460 := ((F(F(4))+F(F(7)))\times F(9)+F(F(F(4))))\times 60$$
$$4794600 := ((F(F(4))+F(F(7)))\times F(9)+F(F(F(4))))\times 600$$

$$48377 := (F(F(4))+F(8\times F(3))\times 7)\times 7$$
$$483770 := (F(F(4))+F(8\times F(3))\times 7)\times 70$$
$$4837700 := (F(F(4))+F(8\times F(3))\times 7)\times 700$$

$$48384 := (F(4)\times 8)^{F(3)}\times 84$$
$$483840 := (F(4)\times 8)^{F(3)}\times 840$$
$$4838400 := (F(4)\times 8)^{F(3)}\times 8400$$

$$48664 := (F(F(4))\times F(F(8)-6)+F(F(F(6))))\times 4$$
$$486640 := (F(F(4))\times F(F(8)-6)+F(F(F(6))))\times 40$$
$$4866400 := (F(F(4))\times F(F(8)-6)+F(F(F(6))))\times 400$$

$$48935 := (-F(4)+F(F(8))-F(9)^{F(3)})\times 5$$
$$489350 := (-F(4)+F(F(8))-F(9)^{F(3)})\times 50$$
$$4893500 := (-F(4)+F(F(8))-F(9)^{F(3)})\times 500$$

$$48945 := (-F(F(F(4)))+F(F(8))-F(9)^{F(F(4))})\times 5$$
$$489450 := (-F(F(F(4)))+F(F(8))-F(9)^{F(F(4))})\times 50$$
$$4894500 := (-F(F(F(4)))+F(F(8))-F(9)^{F(F(4))})\times 500$$

$$49239 := (-4+F(F(9-F(2))))/F(3)\times 9$$
$$492390 := (-4+F(F(9-F(2))))/F(3)\times 90$$
$$4923900 := (-4+F(F(9-F(2))))/F(3)\times 900$$

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$$49285 := (-(F(F(F(4))) - F(9))^2 + F(F(8))) \times 5$$
$$492850 := (-(F(F(F(4))) - F(9))^2 + F(F(8))) \times 50$$
$$4928500 := (-(F(F(F(4))) - F(9))^2 + F(F(8))) \times 500$$

$$49368 := (-F(4) + 9^3) \times 68$$
$$493680 := (-F(4) + 9^3) \times 680$$
$$4936800 := (-F(4) + 9^3) \times 6800$$

$$49785 := (-F(F(4)) - F(9+7) + F(F(8))) \times 5$$
$$497850 := (-F(F(4)) - F(9+7) + F(F(8))) \times 50$$
$$4978500 := (-F(F(4)) - F(9+7) + F(F(8))) \times 500$$

$$49795 := (F(F(F(-F(4)+9))) - F(7+9)) \times 5$$
$$497950 := (F(F(F(-F(4)+9))) - F(7+9)) \times 50$$
$$4979500 := (F(F(F(-F(4)+9))) - F(7+9)) \times 500$$

$$49923 := (F(4) \times (9 + F(9)))^2 \times 3$$
$$499230 := (F(4) \times (9 + F(9)))^2 \times 30$$
$$4992300 := (F(4) \times (9 + F(9)))^2 \times 300$$

$$49928 := (-F(F(4)) + 9 \times 9)^2 \times 8$$
$$499280 := (-F(F(4)) + 9 \times 9)^2 \times 80$$
$$4992800 := (-F(F(4)) + 9 \times 9)^2 \times 800$$

$$52743 := (5 + (2 \times F(7))^{F(4)}) \times 3$$
$$527430 := (5 + (2 \times F(7))^{F(4)}) \times 30$$
$$5274300 := (5 + (2 \times F(7))^{F(4)}) \times 300$$

$$53133 := F(5^{3-1} - 3) \times 3$$
$$531330 := F(5^{3-1} - 3) \times 30$$
$$5313300 := F(5^{3-1} - 3) \times 300$$

$$53163 := (5 \times F(3) + F(1 + F(F(6)))) \times 3$$
$$531630 := (5 \times F(3) + F(1 + F(F(6)))) \times 30$$
$$5316300 := (5 \times F(3) + F(1 + F(F(6)))) \times 300$$

$$53488 := (5^3 + F(4)^8) \times 8$$
$$534880 := (5^3 + F(4)^8) \times 80$$
$$5348800 := (5^3 + F(4)^8) \times 800$$

$$53565 := (F(F(5+3)) - F(5 + F(6))) \times 5$$
$$535650 := (F(F(5+3)) - F(5 + F(6))) \times 50$$
$$5356500 := (F(F(5+3)) - F(5 + F(6))) \times 500$$

$$53985 := (-5 - F(3+9) + F(F(8))) \times 5$$
$$539850 := (-5 - F(3+9) + F(F(8))) \times 50$$
$$5398500 := (-5 - F(3+9) + F(F(8))) \times 500$$

$$54128 := (F(5 \times 4) \times 1 + F(2)) \times 8$$
$$541280 := (F(5 \times 4) \times 1 + F(2)) \times 80$$
$$5412800 := (F(5 \times 4) \times 1 + F(2)) \times 800$$

$$54168 := (F(5 \times 4) + 1 \times 6) \times 8$$
$$541680 := (F(5 \times 4) + 1 \times 6) \times 80$$
$$5416800 := (F(5 \times 4) + 1 \times 6) \times 800$$

$$54248 := (F(5 \times 4) + 2^4) \times 8$$
$$542480 := (F(5 \times 4) + 2^4) \times 80$$
$$5424800 := (F(5 \times 4) + 2^4) \times 800$$

$$54281 := (F(F(5 + F(F(4))))^2 - 8) \times 1$$
$$542810 := (F(F(5 + F(F(4))))^2 - 8) \times 10$$
$$5428100 := (F(F(5 + F(F(4))))^2 - 8) \times 100$$

$$54288 := (F(5 \times 4) \times F(2) + F(8)) \times 8$$
$$542880 := (F(5 \times 4) \times F(2) + F(8)) \times 80$$
$$5428800 := (F(5 \times 4) \times F(2) + F(8)) \times 800$$

$$54385 := (-5 - 4^3 + F(F(8))) \times 5$$
$$543850 := (-5 - 4^3 + F(F(8))) \times 50$$
$$5438500 := (-5 - 4^3 + F(F(8))) \times 500$$

$$54465 := (-54 + F(F(F(4))) + F(F(F(6)))) \times 5$$
$$544650 := (-54 + F(F(F(4))) + F(F(F(6)))) \times 50$$
$$5446500 := (-54 + F(F(F(4))) + F(F(F(6)))) \times 500$$

$$54485 := (-5 - 44 + F(F(8))) \times 5$$
$$544850 := (-5 - 44 + F(F(8))) \times 50$$
$$5448500 := (-5 - 44 + F(F(8))) \times 500$$

$$54568 := (F(5 \times 4) + 56) \times 8$$
$$545680 := (F(5 \times 4) + 56) \times 80$$
$$5456800 := (F(5 \times 4) + 56) \times 800$$

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$$54585 := (5 - F(4+5) + F(F(8))) \times 5$$
$$545850 := (5 - F(4+5) + F(F(8))) \times 50$$
$$5458500 := (5 - F(4+5) + F(F(8))) \times 500$$

$$54625 := (-F(5+F(4)) + F(F(6+2))) \times 5$$
$$546250 := (-F(5+F(4)) + F(F(6+2))) \times 50$$
$$5462500 := (-F(5+F(4)) + F(F(6+2))) \times 500$$

$$54645 := (F(F(5+F(4))) - F(F(6)) + 4) \times 5$$
$$546450 := (F(F(5+F(4))) - F(F(6)) + 4) \times 50$$
$$5464500 := (F(F(5+F(4))) - F(F(6)) + 4) \times 500$$

$$54655 := (-5 \times 4 + F(F(F(6))) + 5) \times 5$$
$$546550 := (-5 \times 4 + F(F(F(6))) + 5) \times 50$$
$$5465500 := (-5 \times 4 + F(F(F(6))) + 5) \times 500$$

$$54675 := 5 \times F(4)^{-6+F(7)} \times 5$$
$$546750 := 5 \times F(4)^{-6+F(7)} \times 50$$
$$5467500 := 5 \times F(4)^{-6+F(7)} \times 500$$

$$54685 := (-54/6 + F(F(8))) \times 5$$
$$546850 := (-54/6 + F(F(8))) \times 50$$
$$5468500 := (-54/6 + F(F(8))) \times 500$$

$$54695 := (5 - F(4) + F(F(F(6))) - 9) \times 5$$
$$546950 := (5 - F(4) + F(F(F(6))) - 9) \times 50$$
$$5469500 := (5 - F(4) + F(F(F(6))) - 9) \times 500$$

$$54725 := 5 \times (F(4)^7 + 2) \times 5$$
$$547250 := 5 \times (F(4)^7 + 2) \times 50$$
$$5472500 := 5 \times (F(4)^7 + 2) \times 500$$

$$54735 := (5 - 4 + F(7 \times 3)) \times 5$$
$$547350 := (5 - 4 + F(7 \times 3)) \times 50$$
$$5473500 := (5 - 4 + F(7 \times 3)) \times 500$$

$$54765 := (5 + F(F(4)) + F(F(7) + F(6))) \times 5$$
$$547650 := (5 + F(F(4)) + F(F(7) + F(6))) \times 50$$
$$5476500 := (5 + F(F(4)) + F(F(7) + F(6))) \times 500$$

$$54785 := (-5 + F(4) + F(7) + F(F(8))) \times 5$$
$$547850 := (-5 + F(4) + F(7) + F(F(8))) \times 50$$
$$5478500 := (-5 + F(4) + F(7) + F(F(8))) \times 500$$

$$54825 := (5 \times 4 + F(F(8)) - F(2)) \times 5$$
$$548250 := (5 \times 4 + F(F(8)) - F(2)) \times 50$$
$$5482500 := (5 \times 4 + F(F(8)) - F(2)) \times 500$$

$$54835 := (5 \times 4 + F(F(8)) + F(F(3))) \times 5$$
$$548350 := (5 \times 4 + F(F(8)) + F(F(3))) \times 50$$
$$5483500 := (5 \times 4 + F(F(8)) + F(F(3))) \times 500$$

$$54845 := (5^{F(F(4))} + F(F(8)) - F(F(4))) \times 5$$
$$548450 := (5^{F(F(4))} + F(F(8)) - F(F(4))) \times 50$$
$$5484500 := (5^{F(F(4))} + F(F(8)) - F(F(4))) \times 500$$

$$54855 := (5 \times 4 + F(F(8)) + 5) \times 5$$
$$548550 := (5 \times 4 + F(F(8)) + 5) \times 50$$
$$5485500 := (5 \times 4 + F(F(8)) + 5) \times 500$$

$$54865 := (F(5+F(4)) + F(F(8)) + 6) \times 5$$
$$548650 := (F(5+F(4)) + F(F(8)) + 6) \times 50$$
$$5486500 := (F(5+F(4)) + F(F(8)) + 6) \times 500$$

$$54885 := (5 \times F(F(4)) + (F(8)) + F(F(8))) \times 5$$
$$548850 := (5 \times F(F(4)) + (F(8)) + F(F(8))) \times 50$$
$$5488500 := (5 \times F(F(4)) + (F(8)) + F(F(8))) \times 500$$

$$54895 := (-5 + 4 + F(F(8)) + F(9)) \times 5$$
$$548950 := (-5 + 4 + F(F(8)) + F(9)) \times 50$$
$$5489500 := (-5 + 4 + F(F(8)) + F(9)) \times 500$$

$$54955 := (F(F(5+F(4))) + 9 \times 5) \times 5$$
$$549550 := (F(F(5+F(4))) + 9 \times 5) \times 50$$
$$5495500 := (F(F(5+F(4))) + 9 \times 5) \times 500$$

$$54965 := (F(5+F(F(4))) + F(9) + F(F(F(6)))) \times 5$$
$$549650 := (F(5+F(F(4))) + F(9) + F(F(F(6)))) \times 50$$
$$5496500 := (F(5+F(F(4))) + F(9) + F(F(F(6)))) \times 500$$

$$55125 := (5 \times F(F(5+1)))^2 \times 5$$
$$551250 := (5 \times F(F(5+1)))^2 \times 50$$
$$5512500 := (5 \times F(F(5+1)))^2 \times 500$$

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$$55447 := F(5+5+F(F(F(4))))^{F(F(4))} \times 7$$
$$554470 := F(5+5+F(F(F(4))))^{F(F(4))} \times 70$$
$$5544700 := F(5+5+F(F(F(4))))^{F(F(4))} \times 700$$

$$56284 := (5^{6-F(2)} + F(F(8))) \times 4$$
$$562840 := (5^{6-F(2)} + F(F(8))) \times 40$$
$$5628400 := (5^{6-F(2)} + F(F(8))) \times 400$$

$$57121 := (5 + F(F(7)) + 1)^2 \times 1$$
$$571210 := (5 + F(F(7)) + 1)^2 \times 10$$
$$5712100 := (5 + F(F(7)) + 1)^2 \times 100$$

$$57132 := (5 + F(7)^{1+3}) \times 2$$
$$571320 := (5 + F(7)^{1+3}) \times 20$$
$$5713200 := (5 + F(7)^{1+3}) \times 200$$

$$57312 := (F(F(-5 + F(7)) + F(3)) - 1) \times 2$$
$$573120 := (F(F(-5 + F(7)) + F(3)) - 1) \times 20$$
$$5731200 := (F(F(-5 + F(7)) + F(3)) - 1) \times 200$$

$$58686 := (-5 \times F(F(8) - F(6)) + F(F(8))) \times 6$$
$$586860 := (-5 \times F(F(8) - F(6)) + F(F(8))) \times 60$$
$$5868600 := (-5 \times F(F(8) - F(6)) + F(F(8))) \times 600$$

$$58746 := (5 + F(8) \times F(F(7)) \times F(F(4))) \times 6$$
$$587460 := (5 + F(8) \times F(F(7)) \times F(F(4))) \times 60$$
$$5874600 := (5 + F(8) \times F(F(7)) \times F(F(4))) \times 600$$

$$59665 := (F(F(F(-5+9)) \times F(6)) + F(F(F(6)))) \times 5$$
$$596650 := (F(F(F(-5+9)) \times F(6)) + F(F(F(6)))) \times 50$$
$$5966500 := (F(F(F(-5+9)) \times F(6)) + F(F(F(6)))) \times 500$$

$$61476 := (F(F(F(6))) - 1 - F(4) \times F(F(7))) \times 6$$
$$614760 := (F(F(F(6))) - 1 - F(4) \times F(F(7))) \times 60$$
$$6147600 := (F(F(F(6))) - 1 - F(4) \times F(F(7))) \times 600$$

$$61824 := (-F(6) + F(18)) \times 24$$
$$618240 := (-F(6) + F(18)) \times 240$$
$$6182400 := (-F(6) + F(18)) \times 2400$$

$$62426 := (F(6) - F(2))^4 \times 26$$
$$624260 := (F(6) - F(2))^4 \times 260$$
$$6242600 := (F(6) - F(2))^4 \times 2600$$

$$62482 := (F(F(F(6)) - F(2)) \times F(4) + F(F(8))) \times 2$$
$$624820 := (F(F(F(6)) - F(2)) \times F(4) + F(F(8))) \times 20$$
$$6248200 := (F(F(F(6)) - F(2)) \times F(4) + F(F(8))) \times 200$$

$$62568 := ((-6 + F(2))^5 + F(F(F(6)))) \times 8$$
$$625680 := ((-6 + F(2))^5 + F(F(F(6)))) \times 80$$
$$6256800 := ((-6 + F(2))^5 + F(F(F(6)))) \times 800$$

$$62715 := F(6 \times 2 + 7) \times 15$$
$$627150 := F(6 \times 2 + 7) \times 150$$
$$6271500 := F(6 \times 2 + 7) \times 1500$$

$$63168 := (6 + F(3)) \times F(16) \times 8$$
$$631680 := (6 + F(3)) \times F(16) \times 80$$
$$6316800 := (6 + F(3)) \times F(16) \times 800$$

$$63368 := F(F(6) + 3)^{F(-3+6)} \times 8$$
$$633680 := F(F(6) + 3)^{F(-3+6)} \times 80$$
$$6336800 := F(F(6) + 3)^{F(-3+6)} \times 800$$

$$63786 := (-F(F(6)) \times (F(3) + F(7)) + F(F(8))) \times 6$$
$$637860 := (-F(F(6)) \times (F(3) + F(7)) + F(F(8))) \times 60$$
$$6378600 := (-F(F(6)) \times (F(3) + F(7)) + F(F(8))) \times 600$$

$$64075 := F(6+4) \times F(F(07)) \times 5$$
$$640750 := F(6+4) \times F(F(07)) \times 50$$
$$6407500 := F(6+4) \times F(F(07)) \times 500$$

$$64266 := (F(F(F(6))) - F(F(4)) - F(F(F(2) + 6))) \times 6$$
$$642660 := (F(F(F(6))) - F(F(4)) - F(F(F(2) + 6))) \times 60$$
$$6426600 := (F(F(F(6))) - F(F(4)) - F(F(F(2) + 6))) \times 600$$

$$64296 := (F(F(F(6))) + F(4) - F(F(-2+9))) \times 6$$
$$642960 := (F(F(F(6))) + F(4) - F(F(-2+9))) \times 60$$
$$6429600 := (F(F(F(6))) + F(4) - F(F(-2+9))) \times 600$$

$$64356 := (F(F(F(6))) - 4 \times F(F(3) \times 5)) \times 6$$
$$643560 := (F(F(F(6))) - 4 \times F(F(3) \times 5)) \times 60$$

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$$6435600 := (F(F(F(6))) - 4 \times F(F(3) \times 5)) \times 600$$

$$64488 := (6^4 + F(-F(F(F(4))) + F(8))) \times 8$$
$$644880 := (6^4 + F(-F(F(F(4))) + F(8))) \times 80$$
$$6448800 := (6^4 + F(-F(F(F(4))) + F(8))) \times 800$$

$$64596 := (F(F(F(6))) - 4 \times 5 \times 9) \times 6$$
$$645960 := (F(F(F(6))) - 4 \times 5 \times 9) \times 60$$
$$6459600 := (F(F(F(6))) - 4 \times 5 \times 9) \times 600$$

$$64656 := (F(F(F(6))) - F(F(4) + 6) \times 5) \times 6$$
$$646560 := (F(F(F(6))) - F(F(4) + 6) \times 5) \times 60$$
$$6465600 := (F(F(F(6))) - F(F(4) + 6) \times 5) \times 600$$

$$64686 := (-F(F(6)) - F(4 + F(6)) + F(F(8))) \times 6$$
$$646860 := (-F(F(6)) - F(4 + F(6)) + F(F(8))) \times 60$$
$$6468600 := (-F(F(6)) - F(4 + F(6)) + F(F(8))) \times 600$$

$$64986 := (F(F(6)) - 4 \times F(9) + F(F(8))) \times 6$$
$$649860 := (F(F(6)) - 4 \times F(9) + F(F(8))) \times 60$$
$$6498600 := (F(F(6)) - 4 \times F(9) + F(F(8))) \times 600$$

$$65376 := (F(F(F(6))) - 5 \times (3 + 7)) \times 6$$
$$653760 := (F(F(F(6))) - 5 \times (3 + 7)) \times 60$$
$$6537600 := (F(F(F(6))) - 5 \times (3 + 7)) \times 600$$

$$65406 := (F(F(F(6))) - 5 - 40) \times 6$$
$$654060 := (F(F(F(6))) - 5 - 40) \times 60$$
$$6540600 := (F(F(F(6))) - 5 - 40) \times 600$$

$$65436 := (-F(6) \times 5 + F(F(4 \times F(3)))) \times 6$$
$$654360 := (-F(6) \times 5 + F(F(4 \times F(3)))) \times 60$$
$$6543600 := (-F(6) \times 5 + F(F(4 \times F(3)))) \times 600$$

$$65463 := (F(6)^5 - F(F(F(4))) - F(F(F(6)))) \times 3$$
$$654630 := (F(6)^5 - F(F(F(4))) - F(F(F(6)))) \times 30$$
$$6546300 := (F(6)^5 - F(F(F(4))) - F(F(F(6)))) \times 300$$

$$65522 := (F(6)^5 - 5 - 2) \times 2$$
$$655220 := (F(6)^5 - 5 - 2) \times 20$$
$$6552200 := (F(6)^5 - 5 - 2) \times 200$$

$$65532 := (F(6)^5 - 5 + 3) \times 2$$
$$655320 := (F(6)^5 - 5 + 3) \times 20$$
$$6553200 := (F(6)^5 - 5 + 3) \times 200$$

$$65541 := F(F(6)) \times (5^5 - 4) \times 1$$
$$655410 := F(F(6)) \times (5^5 - 4) \times 10$$
$$6554100 := F(F(6)) \times (5^5 - 4) \times 100$$

$$65542 := (F(6)^5 + 5 - F(F(4))) \times 2$$
$$655420 := (F(6)^5 + 5 - F(F(4))) \times 20$$
$$6554200 := (F(6)^5 + 5 - F(F(4))) \times 200$$

$$65556 := (F(F(F(6))) - 5 \times 5 + 5) \times 6$$
$$655560 := (F(F(F(6))) - 5 \times 5 + 5) \times 60$$
$$6555600 := (F(F(F(6))) - 5 \times 5 + 5) \times 600$$

$$65562 := (F(6)^5 + 5 + F(6)) \times 2$$
$$655620 := (F(6)^5 + 5 + F(6)) \times 20$$
$$6556200 := (F(6)^5 + 5 + F(6)) \times 200$$

$$65572 := (F(6)^5 + 5 + F(7)) \times 2$$
$$655720 := (F(6)^5 + 5 + F(7)) \times 20$$
$$6557200 := (F(6)^5 + 5 + F(7)) \times 200$$

$$65586 := ((-F(6) + 5) \times 5 + F(F(8))) \times 6$$
$$655860 := ((-F(6) + 5) \times 5 + F(F(8))) \times 60$$
$$6558600 := ((-F(6) + 5) \times 5 + F(F(8))) \times 600$$

$$65616 := (F(F(F(6))) - 5 - 6 + 1) \times 6$$
$$656160 := (F(F(F(6))) - 5 - 6 + 1) \times 60$$
$$6561600 := (F(F(F(6))) - 5 - 6 + 1) \times 600$$

$$65651 := ((F(F(F(6))) - 5) \times 6 + 5) \times 1$$
$$656510 := ((F(F(F(6))) - 5) \times 6 + 5) \times 10$$
$$6565100 := ((F(F(F(6))) - 5) \times 6 + 5) \times 100$$

$$65736 := (F(F(F(6))) - 5 + F(7) + F(3)) \times 6$$
$$657360 := (F(F(F(6))) - 5 + F(7) + F(3)) \times 60$$
$$6573600 := (F(F(F(6))) - 5 + F(7) + F(3)) \times 600$$

$$65766 := (F(F(F(6))) + F(-5 + F(7)) - 6) \times 6$$

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$$\mathbf{657660} := (F(F(F(6))) + F(-5 + F(7)) - 6) \times 60$$
$$\mathbf{6576600} := (F(F(F(6))) + F(-5 + F(7)) - 6) \times 600$$

$$\mathbf{65796} := (F(F(F(6))) + 5 \times (F(7) - 9)) \times 6$$
$$\mathbf{657960} := (F(F(F(6))) + 5 \times (F(7) - 9)) \times 60$$
$$\mathbf{6579600} := (F(F(F(6))) + 5 \times (F(7) - 9)) \times 600$$

$$\mathbf{65826} := (F(F(6)) + 5 + F(F(8)) - F(2)) \times 6$$
$$\mathbf{658260} := (F(F(6)) + 5 + F(F(8)) - F(2)) \times 60$$
$$\mathbf{6582600} := (F(F(6)) + 5 + F(F(8)) - F(2)) \times 600$$

$$\mathbf{65832} := (F(F(6)) + 5 + F(F(8))) \times 3 \times 2$$
$$\mathbf{658320} := (F(F(6)) + 5 + F(F(8))) \times 3 \times 20$$
$$\mathbf{6583200} := (F(F(6)) + 5 + F(F(8))) \times 3 \times 200$$

$$\mathbf{65916} := (F(6) \times 5 + F(F(9 - 1))) \times 6$$
$$\mathbf{659160} := (F(6) \times 5 + F(F(9 - 1))) \times 60$$
$$\mathbf{6591600} := (F(6) \times 5 + F(F(9 - 1))) \times 600$$

$$\mathbf{66336} := (F(F(F(6))) + (F(F(6) + F(3)) \times F(3))) \times 6$$
$$\mathbf{663360} := (F(F(F(6))) + (F(F(6) + F(3)) \times F(3))) \times 60$$
$$\mathbf{6633600} := (F(F(F(6))) + (F(F(6) + F(3)) \times F(3))) \times 600$$

$$\mathbf{66576} := (F(F(F(6))) + 6 + F(5 + 7)) \times 6$$
$$\mathbf{665760} := (F(F(F(6))) + 6 + F(5 + 7)) \times 60$$
$$\mathbf{6657600} := (F(F(F(6))) + 6 + F(5 + 7)) \times 600$$

$$\mathbf{66636} := (F(F(F(6))) + F(6) \times (F(F(6)) - F(F(3)))) \times 6$$
$$\mathbf{666360} := (F(F(F(6))) + F(6) \times (F(F(6)) - F(F(3)))) \times 60$$
$$\mathbf{6663600} := (F(F(F(6))) + F(6) \times (F(F(6)) - F(F(3)))) \times 600$$

$$\mathbf{66666} := (F(F(F(6))) + F(6 + 6) + F(F(6))) \times 6$$
$$\mathbf{666660} := (F(F(F(6))) + F(6 + 6) + F(F(6))) \times 60$$
$$\mathbf{6666600} := (F(F(F(6))) + F(6 + 6) + F(F(6))) \times 600$$

$$\mathbf{66726} := (F(F(F(6))) + 6 + F(7)^2) \times 6$$
$$\mathbf{667260} := (F(F(F(6))) + 6 + F(7)^2) \times 60$$
$$\mathbf{6672600} := (F(F(F(6))) + 6 + F(7)^2) \times 600$$

$$\mathbf{66786} := (-F(6) \times 6 + F(F(7)) + F(F(8))) \times 6$$
$$\mathbf{667860} := (-F(6) \times 6 + F(F(7)) + F(F(8))) \times 60$$
$$\mathbf{6678600} := (-F(6) \times 6 + F(F(7)) + F(F(8))) \times 600$$

$$\mathbf{66936} := (F(F(F(6))) + 6 \times (F(9) + F(F(3)))) \times 6$$
$$\mathbf{669360} := (F(F(F(6))) + 6 \times (F(9) + F(F(3)))) \times 60$$
$$\mathbf{6693600} := (F(F(F(6))) + 6 \times (F(9) + F(F(3)))) \times 600$$

$$\mathbf{67144} := (-F(F(6)) + 7^{1+4}) \times 4$$
$$\mathbf{671440} := (-F(F(6)) + 7^{1+4}) \times 40$$
$$\mathbf{6714400} := (-F(F(6)) + 7^{1+4}) \times 400$$

$$\mathbf{67176} := (F(F(F(6))) + F(F(7)) + 17) \times 6$$
$$\mathbf{671760} := (F(F(F(6))) + F(F(7)) + 17) \times 60$$
$$\mathbf{6717600} := (F(F(F(6))) + F(F(7)) + 17) \times 600$$

$$\mathbf{67335} := 67^{F(3)} \times 3 \times 5$$
$$\mathbf{673350} := 67^{F(3)} \times 3 \times 50$$
$$\mathbf{6733500} := 67^{F(3)} \times 3 \times 500$$

$$\mathbf{67986} := (F(F(F(6))) + 7 \times (F(9) + F(8))) \times 6$$
$$\mathbf{679860} := (F(F(F(6))) + 7 \times (F(9) + F(8))) \times 60$$
$$\mathbf{6798600} := (F(F(F(6))) + 7 \times (F(9) + F(8))) \times 600$$

$$\mathbf{68286} := (-6 + F(8)^2 + F(F(8))) \times 6$$
$$\mathbf{682860} := (-6 + F(8)^2 + F(F(8))) \times 60$$
$$\mathbf{6828600} := (-6 + F(8)^2 + F(F(8))) \times 600$$

$$\mathbf{68316} := (F(F(F(6))) + F(8)^{F(3)} - 1) \times 6$$
$$\mathbf{683160} := (F(F(F(6))) + F(8)^{F(3)} - 1) \times 60$$
$$\mathbf{6831600} := (F(F(F(6))) + F(8)^{F(3)} - 1) \times 600$$

$$\mathbf{68346} := (F(F(F(6))) + F(8)^{F(3)} + 4) \times 6$$
$$\mathbf{683460} := (F(F(F(6))) + F(8)^{F(3)} + 4) \times 60$$
$$\mathbf{6834600} := (F(F(F(6))) + F(8)^{F(3)} + 4) \times 600$$

$$\mathbf{68467} := (F(F(6)) \times F(8 \times F(F(4))) - F(F(F(6)))) \times 7$$
$$\mathbf{684670} := (F(F(6)) \times F(8 \times F(F(4))) - F(F(F(6)))) \times 70$$
$$\mathbf{6846700} := (F(F(6)) \times F(8 \times F(F(4))) - F(F(F(6)))) \times 700$$

$$\mathbf{68537} := (F(F(F(6))) - F(8) \times F(5 \times F(3))) \times 7$$
$$\mathbf{685370} := (F(F(F(6))) - F(8) \times F(5 \times F(3))) \times 70$$
$$\mathbf{6853700} := (F(F(F(6))) - F(8) \times F(5 \times F(3))) \times 700$$

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$$\mathbf{68544} := 6 \times F(8) \times 544$$
$$\mathbf{685440} := 6 \times F(8) \times 5440$$
$$\mathbf{6854400} := 6 \times F(8) \times 54400$$

$$\mathbf{69336} := (F(F(F(6))) + F(9+3+3)) \times 6$$
$$\mathbf{693360} := (F(F(F(6))) + F(9+3+3)) \times 60$$
$$\mathbf{6933600} := (F(F(F(6))) + F(9+3+3)) \times 600$$

$$\mathbf{69579} := (-F(F(6)) + F(9) \times (-5 + F(F(7)))) \times 9$$
$$\mathbf{695790} := (-F(F(6)) + F(9) \times (-5 + F(F(7)))) \times 90$$
$$\mathbf{6957900} := (-F(F(6)) + F(9) \times (-5 + F(F(7)))) \times 900$$

$$\mathbf{69632} := F(6) \times F(9) \times F(6) \times 32$$
$$\mathbf{696320} := F(6) \times F(9) \times F(6) \times 320$$
$$\mathbf{6963200} := F(6) \times F(9) \times F(6) \times 3200$$

$$\mathbf{69727} := (F(F(F(6))) - F(9+7) + 2) \times 7$$
$$\mathbf{697270} := (F(F(F(6))) - F(9+7) + 2) \times 70$$
$$\mathbf{6972700} := (F(F(F(6))) - F(9+7) + 2) \times 700$$

$$\mathbf{69875} := (F(F(F(6))) + (F(9) - F(8)) \times F(F(7))) \times 5$$
$$\mathbf{698750} := (F(F(F(6))) + (F(9) - F(8)) \times F(F(7))) \times 50$$
$$\mathbf{6987500} := (F(F(F(6))) + (F(9) - F(8)) \times F(F(7))) \times 500$$

$$\mathbf{70844} := (F(F(7 \times 0 + 8) + F(F(F(4))))) \times 4$$
$$\mathbf{708440} := (F(F(7 \times 0 + 8) + F(F(F(4))))) \times 40$$
$$\mathbf{7084400} := (F(F(7 \times 0 + 8) + F(F(F(4))))) \times 400$$

$$\mathbf{72666} := (F(F(7)) \times (-F(2) + 6) + F(F(F(6)))) \times 6$$
$$\mathbf{726660} := (F(F(7)) \times (-F(2) + 6) + F(F(F(6)))) \times 60$$
$$\mathbf{7266600} := (F(F(7)) \times (-F(2) + 6) + F(F(F(6)))) \times 600$$

$$\mathbf{73284} := (F(F(7) + F(3)) + F(F(2) + F(8))) \times 4$$
$$\mathbf{732840} := (F(F(7) + F(3)) + F(F(2) + F(8))) \times 40$$
$$\mathbf{7328400} := (F(F(7) + F(3)) + F(F(2) + F(8))) \times 400$$

$$\mathbf{73367} := (-F(F(7)) \times F(3) + F(F(3)) + F(F(F(6)))) \times 7$$
$$\mathbf{733670} := (-F(F(7)) \times F(3) + F(F(3)) + F(F(F(6)))) \times 70$$
$$\mathbf{7336700} := (-F(F(7)) \times F(3) + F(F(3)) + F(F(F(6)))) \times 700$$

$$\mathbf{73395} := (F(F(7)) \times 3 \times F(F(-3+9))) \times 5$$
$$\mathbf{733950} := (F(F(7)) \times 3 \times F(F(-3+9))) \times 50$$
$$\mathbf{7339500} := (F(F(7)) \times 3 \times F(F(-3+9))) \times 500$$

$$\mathbf{73648} := (-F(7+3) + F(F(6))^{F(4)}) \times 8$$
$$\mathbf{736480} := (-F(7+3) + F(F(6))^{F(4)}) \times 80$$
$$\mathbf{7364800} := (-F(7+3) + F(F(6))^{F(4)}) \times 800$$

$$\mathbf{73719} := (F(F(7-3))^{F(7)} - 1) \times 9$$
$$\mathbf{737190} := (F(F(7-3))^{F(7)} - 1) \times 90$$
$$\mathbf{7371900} := (F(F(7-3))^{F(7)} - 1) \times 900$$

$$\mathbf{73791} := (7 + F(3)^{F(7)}) \times 9 \times 1$$
$$\mathbf{737910} := (7 + F(3)^{F(7)}) \times 9 \times 10$$
$$\mathbf{7379100} := (7 + F(3)^{F(7)}) \times 9 \times 100$$

$$\mathbf{74487} := (-F(F(7) + F(F(4)))/F(F(4)) + F(F(8))) \times 7$$
$$\mathbf{744870} := (-F(F(7) + F(F(4)))/F(F(4)) + F(F(8))) \times 70$$
$$\mathbf{7448700} := (-F(F(7) + F(F(4)))/F(F(4)) + F(F(8))) \times 700$$

$$\mathbf{74529} := (F(7) \times (F(F(4)) + 5))^2 \times 9$$
$$\mathbf{745290} := (F(7) \times (F(F(4)) + 5))^2 \times 90$$
$$\mathbf{7452900} := (F(7) \times (F(F(4)) + 5))^2 \times 900$$

$$\mathbf{74665} := (F(F(7)) \times F(F(4))^6 + F(F(6))) \times 5$$
$$\mathbf{746650} := (F(F(7)) \times F(F(4))^6 + F(F(6))) \times 50$$
$$\mathbf{7466500} := (F(F(7)) \times F(F(4))^6 + F(F(6))) \times 500$$

$$\mathbf{74688} := (-F(7) - F(-4 + F(F(6))) + F(F(8))) \times 8$$
$$\mathbf{746880} := (-F(7) - F(-4 + F(F(6))) + F(F(8))) \times 80$$
$$\mathbf{7468800} := (-F(7) - F(-4 + F(F(6))) + F(F(8))) \times 800$$

$$\mathbf{74977} := (-F(F(7)) - F(F(4)) + F(F(9) - F(7))) \times 7$$
$$\mathbf{749770} := (-F(F(7)) - F(F(4)) + F(F(9) - F(7))) \times 70$$
$$\mathbf{7497700} := (-F(F(7)) - F(F(4)) + F(F(9) - F(7))) \times 700$$

$$\mathbf{75635} := (F(F(F(7) - 5)) + F(F(F(6)) - F(3))) \times 5$$
$$\mathbf{756350} := (F(F(F(7) - 5)) + F(F(F(6)) - F(3))) \times 50$$
$$\mathbf{7563500} := (F(F(F(7) - 5)) + F(F(F(6)) - F(3))) \times 500$$

$$\mathbf{75645} := (F(7+5) - F(F(6)))^{F(F(4))} \times 5$$
$$\mathbf{756450} := (F(7+5) - F(F(6)))^{F(F(4))} \times 50$$
$$\mathbf{7564500} := (F(7+5) - F(F(6)))^{F(F(4))} \times 500$$

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$$75735 := (F(F(7)) \times 5 \times F(7) + F(3)) \times 5$$
$$757350 := (F(F(7)) \times 5 \times F(7) + F(3)) \times 50$$
$$7573500 := (F(F(7)) \times 5 \times F(7) + F(3)) \times 500$$

$$75745 := (F(F(7)) \times 5 \times F(7) + 4) \times 5$$
$$757450 := (F(F(7)) \times 5 \times F(7) + 4) \times 50$$
$$7574500 := (F(F(7)) \times 5 \times F(7) + 4) \times 500$$

$$75765 := (F(F(7)) \times 5 \times F(7) + F(6)) \times 5$$
$$757650 := (F(F(7)) \times 5 \times F(7) + F(6)) \times 50$$
$$7576500 := (F(F(7)) \times 5 \times F(7) + F(6)) \times 500$$

$$75957 := (F(F(F(7) - 5)) - 95) \times 7$$
$$759570 := (F(F(F(7) - 5)) - 95) \times 70$$
$$7595700 := (F(F(F(7) - 5)) - 95) \times 700$$

$$76167 := (-F(7) \times (6 - 1) + F(F(F(6)))) \times 7$$
$$761670 := (-F(7) \times (6 - 1) + F(F(F(6)))) \times 70$$
$$7616700 := (-F(7) \times (6 - 1) + F(F(F(6)))) \times 700$$

$$76631 := (7 \times F(F(F(6))) + 6 + 3) \times 1$$
$$766310 := (7 \times F(F(F(6))) + 6 + 3) \times 10$$
$$7663100 := (7 \times F(F(F(6))) + 6 + 3) \times 100$$

$$76657 := (F(F(7 + 6/6)) + 5) \times 7$$
$$766570 := (F(F(7 + 6/6)) + 5) \times 70$$
$$7665700 := (F(F(7 + 6/6)) + 5) \times 700$$

$$76691 := (7 \times F(F(F(6))) + 69) \times 1$$
$$766910 := (7 \times F(F(F(6))) + 69) \times 10$$
$$7669100 := (7 \times F(F(F(6))) + 69) \times 100$$

$$76867 := (-7 + F(F(6)) + F(F(8)) + F(F(6))) \times 7$$
$$768670 := (-7 + F(F(6)) + F(F(8)) + F(F(6))) \times 70$$
$$7686700 := (-7 + F(F(6)) + F(F(8)) + F(F(6))) \times 700$$

$$76937 := (F(7) + F(F(F(6))) + F(9) - F(3)) \times 7$$
$$769370 := (F(7) + F(F(F(6))) + F(9) - F(3)) \times 70$$
$$7693700 := (F(7) + F(F(F(6))) + F(9) - F(3)) \times 700$$

$$78142 := (-F(F(7)) + F(8 + 1)^{F(4)}) \times 2$$
$$781420 := (-F(F(7)) + F(8 + 1)^{F(4)}) \times 20$$
$$7814200 := (-F(F(7)) + F(8 + 1)^{F(4)}) \times 200$$

$$78197 := (F(F(7)) + F(F(8)) + 1 - 9) \times 7$$
$$781970 := (F(F(7)) + F(F(8)) + 1 - 9) \times 70$$
$$7819700 := (F(F(7)) + F(F(8)) + 1 - 9) \times 700$$

$$78445 := (F(F(7)) + F(8 \times F(4))/F(4)) \times 5$$
$$784450 := (F(F(7)) + F(8 \times F(4))/F(4)) \times 50$$
$$7844500 := (F(F(7)) + F(8 \times F(4))/F(4)) \times 500$$

$$78568 := ((-F(F(7)) + 8) \times 5 + F(F(F(6)))) \times 8$$
$$785680 := ((-F(F(7)) + 8) \times 5 + F(F(F(6)))) \times 80$$
$$7856800 := ((-F(F(7)) + 8) \times 5 + F(F(F(6)))) \times 800$$

$$78827 := (F(F(7)) + F(F(8)) + 82) \times 7$$
$$788270 := (F(F(7)) + F(F(8)) + 82) \times 70$$
$$7882700 := (F(F(7)) + F(F(8)) + 82) \times 700$$

$$79215 := (F(F(7)) \times F(9) \times 2 - 1) \times 5$$
$$792150 := (F(F(7)) \times F(9) \times 2 - 1) \times 50$$
$$7921500 := (F(F(7)) \times F(9) \times 2 - 1) \times 500$$

$$79225 := (F(F(7)) \times F(9) \times 2 + F(2)) \times 5$$
$$792250 := (F(F(7)) \times F(9) \times 2 + F(2)) \times 50$$
$$7922500 := (F(F(7)) \times F(9) \times 2 + F(2)) \times 500$$

$$79235 := (F(F(7)) \times F(9) \times 2 + 3) \times 5$$
$$792350 := (F(F(7)) \times F(9) \times 2 + 3) \times 50$$
$$7923500 := (F(F(7)) \times F(9) \times 2 + 3) \times 500$$

$$79648 := (-F(7 + 9) + F(F(F(6))) - F(4)) \times 8$$
$$796480 := (-F(7 + 9) + F(F(F(6))) - F(4)) \times 80$$
$$7964800 := (-F(7 + 9) + F(F(F(6))) - F(4)) \times 800$$

$$79929 := (F(7 + 9) \times 9 - 2) \times 9$$
$$799290 := (F(7 + 9) \times 9 - 2) \times 90$$
$$7992900 := (F(7 + 9) \times 9 - 2) \times 900$$

$$81088 := (-810 + F(F(8))) \times 8$$
$$810880 := (-810 + F(F(8))) \times 80$$
$$8108800 := (-810 + F(F(8))) \times 800$$

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$$81186 := (F(F(8)) + 1 + F(18)) \times 6$$
$$811860 := (F(F(8)) + 1 + F(18)) \times 60$$
$$8118600 := (F(F(8)) + 1 + F(18)) \times 600$$

$$82688 := (F(F(8)) \times F(2) - F(-6 + F(8))) \times 8$$
$$826880 := (F(F(8)) \times F(2) - F(-6 + F(8))) \times 80$$
$$8268800 := (F(F(8)) \times F(2) - F(-6 + F(8))) \times 800$$

$$82824 := F(8) \times (-F(2) + F(8 \times 2)) \times 4$$
$$828240 := F(8) \times (-F(2) + F(8 \times 2)) \times 40$$
$$8282400 := F(8) \times (-F(2) + F(8 \times 2)) \times 400$$

$$83169 := (F(8)^3 + 1 - F(F(6))) \times 9$$
$$831690 := (F(8)^3 + 1 - F(F(6))) \times 90$$
$$8316900 := (F(8)^3 + 1 - F(F(6))) \times 900$$

$$83259 := (F(8)^3 - 2 \times 5) \times 9$$
$$832590 := (F(8)^3 - 2 \times 5) \times 90$$
$$8325900 := (F(8)^3 - 2 \times 5) \times 900$$

$$83343 := (F(8)^3 \times 3 - F(F(4))) \times 3$$
$$833430 := (F(8)^3 \times 3 - F(F(4))) \times 30$$
$$8334300 := (F(8)^3 \times 3 - F(F(4))) \times 300$$

$$83488 := (-8^3 + F(F(4)) + F(F(8))) \times 8$$
$$834880 := (-8^3 + F(F(4)) + F(F(8))) \times 80$$
$$8348800 := (-8^3 + F(F(4)) + F(F(8))) \times 800$$

$$83826 := (F(F(8)) + F(F(3) + 8)^2) \times 6$$
$$838260 := (F(F(8)) + F(F(3) + 8)^2) \times 60$$
$$8382600 := (F(F(8)) + F(F(3) + 8)^2) \times 600$$

$$83968 := (-F(8)^{F(3)} - 9 + F(F(F(6)))) \times 8$$
$$839680 := (-F(8)^{F(3)} - 9 + F(F(F(6)))) \times 80$$
$$8396800 := (-F(8)^{F(3)} - 9 + F(F(F(6)))) \times 800$$

$$84208 := (F(F(8)) - 420) \times 8$$
$$842080 := (F(F(8)) - 420) \times 80$$
$$8420800 := (F(F(8)) - 420) \times 800$$

$$84368 := (-(F(8) - F(F(F(4))))^{F(3)} + F(F(F(6)))) \times 8$$
$$843680 := (-(F(8) - F(F(F(4))))^{F(3)} + F(F(F(6)))) \times 80$$
$$8436800 := (-(F(8) - F(F(F(4))))^{F(3)} + F(F(F(6)))) \times 800$$

$$84755 := (F(8 + 4) + 7^5) \times 5$$
$$847550 := (F(8 + 4) + 7^5) \times 50$$
$$8475500 := (F(8 + 4) + 7^5) \times 500$$

$$84777 := (F(F(8)) + 4 \times F(F(7)) + F(F(7))) \times 7$$
$$847770 := (F(F(8)) + 4 \times F(F(7)) + F(F(7))) \times 70$$
$$8477700 := (F(F(8)) + 4 \times F(F(7)) + F(F(7))) \times 700$$

$$84985 := (F(F(8) + F(F(F(4)))) - F(9) \times F(8)) \times 5$$
$$849850 := (F(F(8) + F(F(F(4)))) - F(9) \times F(8)) \times 50$$
$$8498500 := (F(F(8) + F(F(F(4)))) - F(9) \times F(8)) \times 500$$

$$85728 := (F(F(8)) + 5 - F(F(7)) - 2) \times 8$$
$$857280 := (F(F(8)) + 5 - F(F(7)) - 2) \times 80$$
$$8572800 := (F(F(8)) + 5 - F(F(7)) - 2) \times 800$$

$$85888 := (F(F(8)) - 5 \times (F(8) + F(8))) \times 8$$
$$858880 := (F(F(8)) - 5 \times (F(8) + F(8))) \times 80$$
$$8588800 := (F(F(8)) - 5 \times (F(8) + F(8))) \times 800$$

$$85968 := (F(F(8)) - 5 \times (F(9) + 6)) \times 8$$
$$859680 := (F(F(8)) - 5 \times (F(9) + 6)) \times 80$$
$$8596800 := (F(F(8)) - 5 \times (F(9) + 6)) \times 800$$

$$86288 := (F(F(8)) + F(6) \times (F(2) - F(8))) \times 8$$
$$862880 := (F(F(8)) + F(6) \times (F(2) - F(8))) \times 80$$
$$8628800 := (F(F(8)) + F(6) \times (F(2) - F(8))) \times 800$$

$$86368 := (F(F(8)) - 6 - F(F(3) \times 6)) \times 8$$
$$863680 := (F(F(8)) - 6 - F(F(3) \times 6)) \times 80$$
$$8636800 := (F(F(8)) - 6 - F(F(3) \times 6)) \times 800$$

$$86448 := (F(F(8)) - F(F(6) + 4) + 4) \times 8$$
$$864480 := (F(F(8)) - F(F(6) + 4) + 4) \times 80$$
$$8644800 := (F(F(8)) - F(F(6) + 4) + 4) \times 800$$

$$86688 := F(8) \times 6 \times 688$$
$$866880 := F(8) \times 6 \times 6880$$

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$8668800 := F(8) \times 6 \times 68800$

$86728 := (F(F(8)) - F(6) \times F(7) - F(2)) \times 8$
$867280 := (F(F(8)) - F(6) \times F(7) - F(2)) \times 80$
$8672800 := (F(F(8)) - F(6) \times F(7) - F(2)) \times 800$

$86848 := (F(F(8)) - 6 - 84) \times 8$
$868480 := (F(F(8)) - 6 - 84) \times 80$
$8684800 := (F(F(8)) - 6 - 84) \times 800$

$86888 := (F(F(8)) - F(6) \times 8 - F(8)) \times 8$
$868880 := (F(F(8)) - F(6) \times 8 - F(8)) \times 80$
$8688800 := (F(F(8)) - F(6) \times 8 - F(8)) \times 800$

$86928 := (F(F(8)) - (6 + F(9)) \times 2) \times 8$
$869280 := (F(F(8)) - (6 + F(9)) \times 2) \times 80$
$8692800 := (F(F(8)) - (6 + F(9)) \times 2) \times 800$

$86968 := (F(F(8)) - 69 - 6) \times 8$
$869680 := (F(F(8)) - 69 - 6) \times 80$
$8696800 := (F(F(8)) - 69 - 6) \times 800$

$87128 := (F(F(8)) - F(7 + 1 + 2)) \times 8$
$871280 := (F(F(8)) - F(7 + 1 + 2)) \times 80$
$8712800 := (F(F(8)) - F(7 + 1 + 2)) \times 800$

$87168 := (F(F(8)) - 71 + F(F(6))) \times 8$
$871680 := (F(F(8)) - 71 + F(F(6))) \times 80$
$8716800 := (F(F(8)) - 71 + F(F(6))) \times 800$

$87285 := (-F(8) - F(F(7)) + F(F(2) + F(8))) \times 5$
$872850 := (-F(8) - F(F(7)) + F(F(2) + F(8))) \times 50$
$8728500 := (-F(8) - F(F(7)) + F(F(2) + F(8))) \times 500$

$87288 := (F(F(8)) - 7 - 28) \times 8$
$872880 := (F(F(8)) - 7 - 28) \times 80$
$8728800 := (F(F(8)) - 7 - 28) \times 800$

$87328 := (F(F(8)) - (F(7) + F(3)) \times 2) \times 8$
$873280 := (F(F(8)) - (F(7) + F(3)) \times 2) \times 80$
$8732800 := (F(F(8)) - (F(7) + F(3)) \times 2) \times 800$

$87375 := (-8 + F(F(7)))/3 \times F(F(7)) \times 5$
$873750 := (-8 + F(F(7)))/3 \times F(F(7)) \times 50$
$8737500 := (-8 + F(F(7)))/3 \times F(F(7)) \times 500$

$87448 := (F(F(8)) - 7 - 4 - 4) \times 8$
$874480 := (F(F(8)) - 7 - 4 - 4) \times 80$
$8744800 := (F(F(8)) - 7 - 4 - 4) \times 800$

$87512 := (F(F(8)) - 7) \times (5 - 1) \times 2$
$875120 := (F(F(8)) - 7) \times (5 - 1) \times 20$
$8751200 := (F(F(8)) - 7) \times (5 - 1) \times 200$

$87764 := (F(F(8)) + 7 \times 7 + F(F(F(6)))) \times 4$
$877640 := (F(F(8)) + 7 \times 7 + F(F(F(6)))) \times 40$
$8776400 := (F(F(8)) + 7 \times 7 + F(F(F(6)))) \times 400$

$87888 := (F(F(8)) + (F(7) - 8) \times 8) \times 8$
$878880 := (F(F(8)) + (F(7) - 8) \times 8) \times 80$
$8788800 := (F(F(8)) + (F(7) - 8) \times 8) \times 800$

$87928 := (F(F(8)) + F(7) + F(9) - 2) \times 8$
$879280 := (F(F(8)) + F(7) + F(9) - 2) \times 80$
$8792800 := (F(F(8)) + F(7) + F(9) - 2) \times 800$

$88168 := (F(F(8)) + 81 - 6) \times 8$
$881680 := (F(F(8)) + 81 - 6) \times 80$
$8816800 := (F(F(8)) + 81 - 6) \times 800$

$88248 := (F(F(8)) + 82 + F(4)) \times 8$
$882480 := (F(F(8)) + 82 + F(4)) \times 80$
$8824800 := (F(F(8)) + 82 + F(4)) \times 800$

$88288 := (F(F(8)) + 82 + 8) \times 8$
$882880 := (F(F(8)) + 82 + 8) \times 80$
$8828800 := (F(F(8)) + 82 + 8) \times 800$

$88435 := (-F(8) + F(F(8) + F(F(F(4)))) - 3) \times 5$
$884350 := (-F(8) + F(F(8) + F(F(F(4)))) - 3) \times 50$
$8843500 := (-F(8) + F(F(8) + F(F(F(4)))) - 3) \times 500$

$88445 := (-F(8) + F(F(8) + F(F(F(4)))) - F(F(F(4)))) \times 5$
$884450 := (-F(8) + F(F(8) + F(F(F(4)))) - F(F(F(4)))) \times 50$
$8844500 := (-F(8) + F(F(8) + F(F(F(4)))) - F(F(F(4)))) \times 500$

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$$88495 := (-F(8) + F(F(8) + F(F(F(4)))) + 9) \times 5$$
$$884950 := (-F(8) + F(F(8) + F(F(F(4)))) + 9) \times 50$$
$$8849500 := (-F(8) + F(F(8) + F(F(F(4)))) + 9) \times 500$$

$$88515 := (-8 + F(F(8) + F(F(F(5-1))))) \times 5$$
$$885150 := (-8 + F(F(8) + F(F(F(5-1))))) \times 50$$
$$8851500 := (-8 + F(F(8) + F(F(F(5-1))))) \times 500$$

$$88545 := (F(F(8) + F(F(8-5))) - F(F(4))) \times 5$$
$$885450 := (F(F(8) + F(F(8-5))) - F(F(4))) \times 50$$
$$8854500 := (F(F(8) + F(F(8-5))) - F(F(4))) \times 500$$

$$88555 := (F(F(8)) + F(F(8) - 5/5)) \times 5$$
$$885550 := (F(F(8)) + F(F(8) - 5/5)) \times 50$$
$$8855500 := (F(F(8)) + F(F(8) - 5/5)) \times 500$$

$$88595 := (8 + F(8+5+9)) \times 5$$
$$885950 := (8 + F(8+5+9)) \times 50$$
$$8859500 := (8 + F(8+5+9)) \times 500$$

$$88635 := (8 + 8 + F(F(F(6)) + F(F(3)))) \times 5$$
$$886350 := (8 + 8 + F(F(F(6)) + F(F(3)))) \times 50$$
$$8863500 := (8 + 8 + F(F(F(6)) + F(F(3)))) \times 500$$

$$88728 := (F(F(8)) + F(8) \times 7 - 2) \times 8$$
$$887280 := (F(F(8)) + F(8) \times 7 - 2) \times 80$$
$$8872800 := (F(F(8)) + F(8) \times 7 - 2) \times 800$$

$$89448 := (F(F(8)) + F(9+4) + F(F(4))) \times 8$$
$$894480 := (F(F(8)) + F(9+4) + F(F(4))) \times 80$$
$$8944800 := (F(F(8)) + F(9+4) + F(F(4))) \times 800$$

$$89472 := (F(8) \times 9 + F(4)) \times F(F(7)) \times 2$$
$$894720 := (F(8) \times 9 + F(4)) \times F(F(7)) \times 20$$
$$8947200 := (F(8) \times 9 + F(4)) \times F(F(7)) \times 200$$

$$89488 := (F(F(8)) + (F(9) - 4) \times 8) \times 8$$
$$894880 := (F(F(8)) + (F(9) - 4) \times 8) \times 80$$
$$8948800 := (F(F(8)) + (F(9) - 4) \times 8) \times 800$$

$$89768 := (F(F(8)) + F(9) + F(F(7)) + F(6)) \times 8$$
$$897680 := (F(F(8)) + F(9) + F(F(7)) + F(6)) \times 80$$
$$8976800 := (F(F(8)) + F(9) + F(F(7)) + F(6)) \times 800$$

$$89968 := (F(F(8)) + F(9) \times 9 - 6) \times 8$$
$$899680 := (F(F(8)) + F(9) \times 9 - 6) \times 80$$
$$8996800 := (F(F(8)) + F(9) \times 9 - 6) \times 800$$

$$92732 := (F(9 + 2 + F(7)) - F(3)) \times 2$$
$$927320 := (F(9 + 2 + F(7)) - F(3)) \times 20$$
$$9273200 := (F(9 + 2 + F(7)) - F(3)) \times 200$$

$$92742 := (F(9 + 2 + F(7)) + F(4)) \times 2$$
$$927420 := (F(9 + 2 + F(7)) + F(4)) \times 20$$
$$9274200 := (F(9 + 2 + F(7)) + F(4)) \times 200$$

$$93312 := (F(9) + F(3))^3 \times 1 \times 2$$
$$933120 := (F(9) + F(3))^3 \times 1 \times 20$$
$$9331200 := (F(9) + F(3))^3 \times 1 \times 200$$

$$94365 := (9^{F(F(4))} \times F(F(F(F(3)) + 6))) \times 5$$
$$943650 := (9^{F(F(4))} \times F(F(F(F(3)) + 6))) \times 50$$
$$9436500 := (9^{F(F(4))} \times F(F(F(F(3)) + 6))) \times 500$$

$$94566 := (F(9) \times 4 + 5^6) \times 6$$
$$945660 := (F(9) \times 4 + 5^6) \times 60$$
$$9456600 := (F(9) \times 4 + 5^6) \times 600$$

$$94647 := (-9 + F(F(4)) \times F(F(F(6)) - F(F(F(4))))) \times 7$$
$$946470 := (-9 + F(F(4)) \times F(F(F(6)) - F(F(F(4))))) \times 70$$
$$9464700 := (-9 + F(F(4)) \times F(F(F(6)) - F(F(F(4))))) \times 700$$

$$96489 := (-9 - 6^{F(4)} + F(F(8))) \times 9$$
$$964890 := (-9 - 6^{F(4)} + F(F(8))) \times 90$$
$$9648900 := (-9 - 6^{F(4)} + F(F(8))) \times 900$$

$$96849 := (-9 \times F(F(6)) + F(F(8)) + 4) \times 9$$
$$968490 := (-9 \times F(F(6)) + F(F(8)) + 4) \times 90$$
$$9684900 := (-9 \times F(F(6)) + F(F(8)) + 4) \times 900$$

$$97569 := (F(F(9) - F(7)) - 5 \times F(F(6))) \times 9$$
$$975690 := (F(F(9) - F(7)) - 5 \times F(F(6))) \times 90$$
$$9756900 := (F(F(9) - F(7)) - 5 \times F(F(6))) \times 900$$

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http://doi.org/10.5281/zenodo.2572044

$$97875 := (F(9+F(7))+8\times F(F(7)))\times 5$$
$$978750 := (F(9+F(7))+8\times F(F(7)))\times 50$$
$$9787500 := (F(9+F(7))+8\times F(F(7)))\times 500$$

$$98289 := (-F(9)+F(F(8))+F(2)+8)\times 9$$
$$982890 := (-F(9)+F(F(8))+F(2)+8)\times 90$$
$$9828900 := (-F(9)+F(F(8))+F(2)+8)\times 900$$

$$98373 := (-F(9)+F(F(8))\times 3-F(7))\times 3$$
$$983730 := (-F(9)+F(F(8))\times 3-F(7))\times 30$$
$$9837300 := (-F(9)+F(F(8))\times 3-F(7))\times 300$$

$$98471 := (9\times(F(F(8))-4)-7)\times 1$$
$$984710 := (9\times(F(F(8))-4)-7)\times 10$$
$$9847100 := (9\times(F(F(8))-4)-7)\times 100$$

$$98521 := (9\times F(F(8))+5+2)\times 1$$
$$985210 := (9\times F(F(8))+5+2)\times 10$$
$$9852100 := (9\times F(F(8))+5+2)\times 100$$

$$98571 := (9\times F(F(8))+57)\times 1$$
$$985710 := (9\times F(F(8))+57)\times 10$$
$$9857100 := (9\times F(F(8))+57)\times 100$$

$$99144 := F(9)\times 9^{F(1\times 4)}\times 4$$
$$991440 := F(9)\times 9^{F(1\times 4)}\times 40$$
$$9914400 := F(9)\times 9^{F(1\times 4)}\times 400$$

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