



# Utilizing digitalization through heuristic risk-based blade maintenance for leading edge erosion

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WESC 2023 Glasgow 25/5-2023  
5.2a Mini Symposia: Structural integrity assessment and life cycle management of wind farms



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# IEA Wind T43

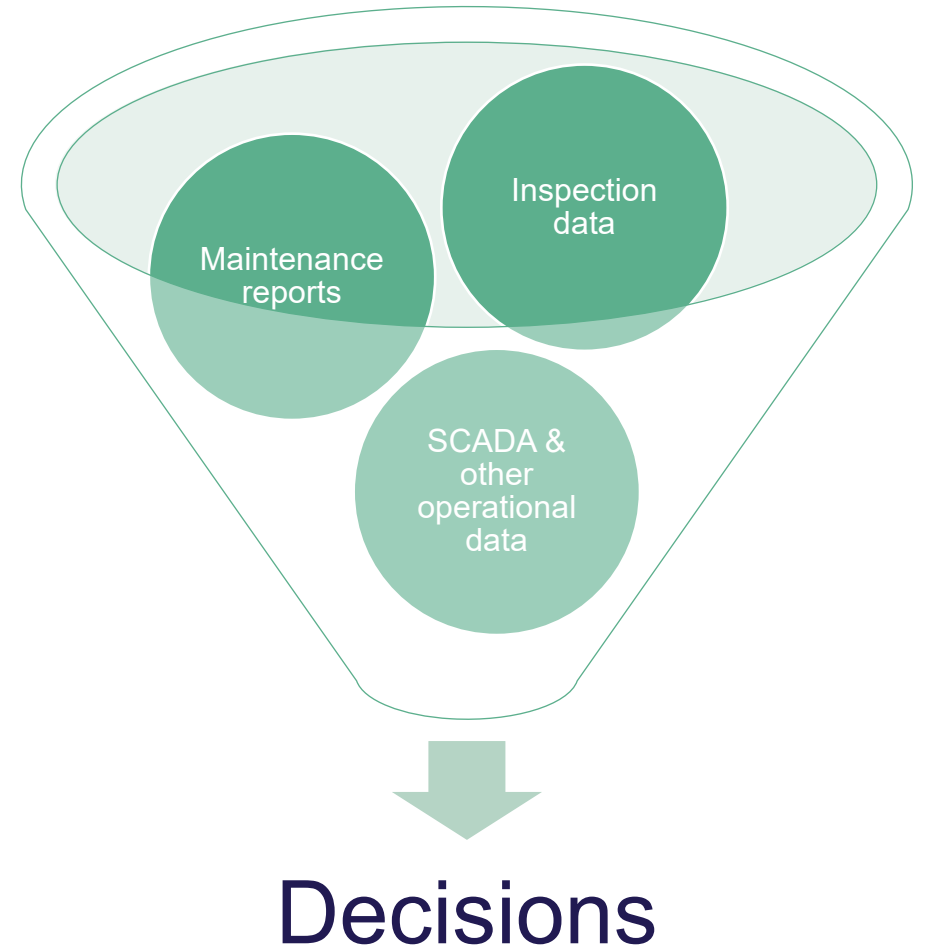
## WP5 – O&M



- ▶ Provide guidance on digitalization practices and implementations with the potential to deliver wind O&M advancements and new opportunities
- ▶ Team:
  - ▶ Alex Byrne – DNV GL
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  - ▶ Nathan Hoerning – Wisconsin Public Utility
  - ▶ Liliana Haus – EPRI
  - ▶ Noah Myrent – EPRI
  - ▶ Evan Sproul - Sandia National Laboratories
  - ▶ Murray Fisher – Gulf Wind Technology

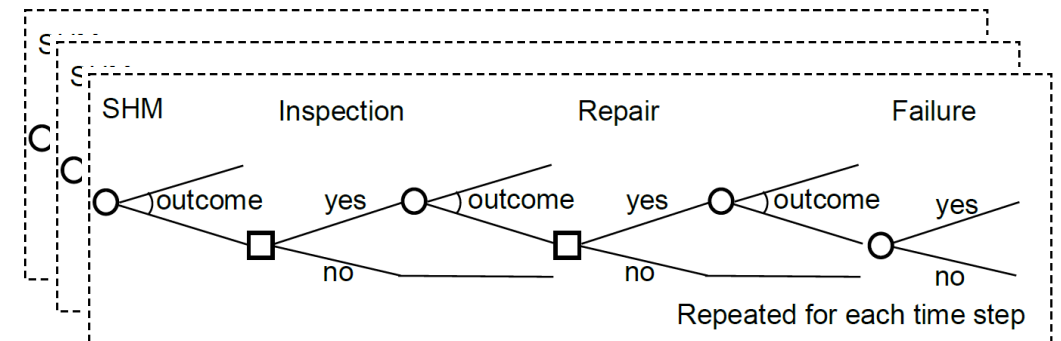
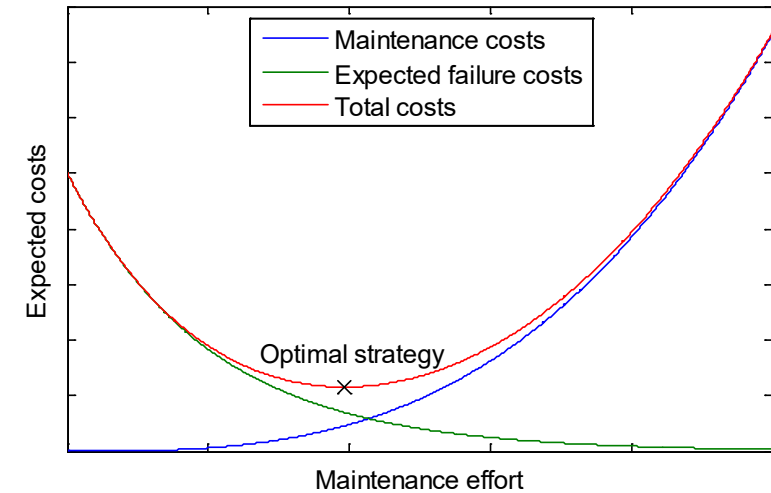
# Risk-based blade maintenance

- ▶ How can digitalization can be utilized to optimize inspection and maintenance decisions for leading edge erosion (LEE) of wind turbine blades?



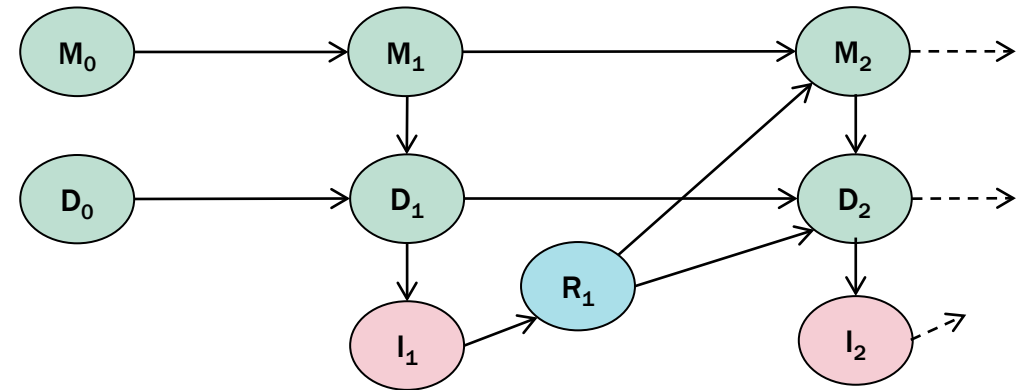
# Risk-based blade maintenance

- ▶ Balance between doing too much and too little
- ▶ Minimize expected costs
  - ▶ Considering present value of direct and indirect costs
- ▶ How to find the optimal strategy?
- ▶ Bayesian decision theory
  - ▶ Heuristic decision rules
  - ▶ POMDP, ML approaches
  - ▶ Optimality vs. simplicity



# Risk-based decision model

- ▶ Input
  - ▶ Deterioration and repair model
  - ▶ Inspection model
  - ▶ Cost model
- ▶ Output
  - ▶ Optimal decision – strategy for inspections and repairs
  - ▶ Expected lifetime costs



## Nodes / variables

Damage size:  $D_i$

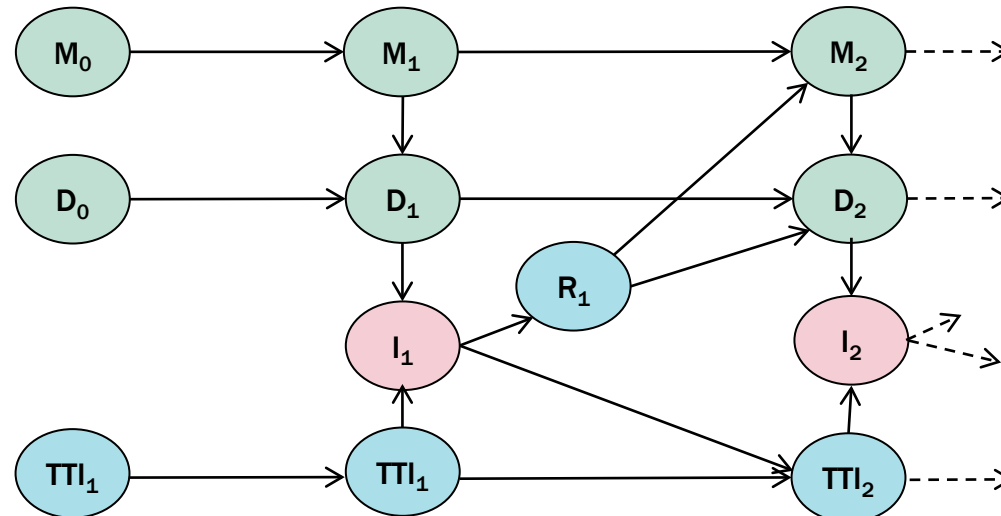
Model parameter:  $M_i$

Inspection outcome:  $I_i$

Preventive repair decision:  $R_i$

# Risk-based decision model

- ▶ Inspection: time steps to next inspection – depends on inspection outcome
- ▶ TTI is a “count down node” between inspections: 6 – 5 – 4 – 3 – 2 – 1



## Nodes / variables

Damage size:  $D_i$

Model parameter:  $M_i$

Inspection outcome:  $I_i$

Preventive repair decision:  $R_i$

Time to inspection:  $TTI_i$

# Risk-based decision model

- ▶ Which inspection outcome should result in repair now?
- ▶ For less severe inspection outcomes, when should the next inspection be scheduled?
- ▶ Example:

State of node I	Inspection outcome	Repair	Next inspection
1	No inspection	No	
2	No detection	No	2
3	Category 1	No	2
4	Category 2	No	1
5	Category 3	No	1
6	Category 4	Yes	2
7	Category 5	Yes	2

# Case study – Leading edge erosion

- The repeated impact of raindrops and other particles on the leading edge of wind turbine blades leads to initiation of erosion and progressive damage development.
- LEE negatively impacts aerodynamic performance, thereby decreasing the power production.
- When to do drone inspections and when to repair?





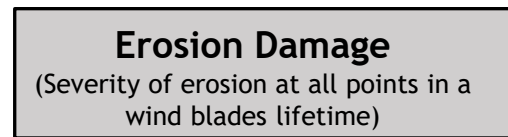
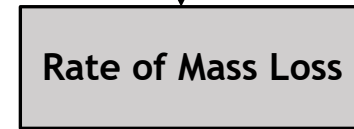
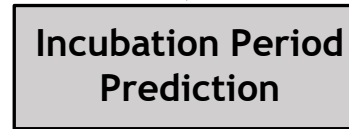
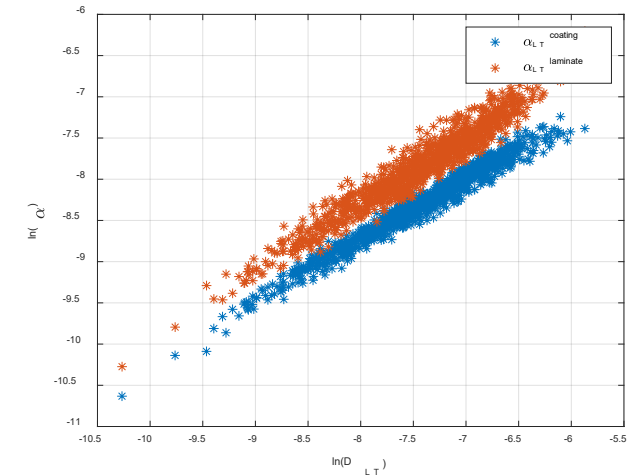
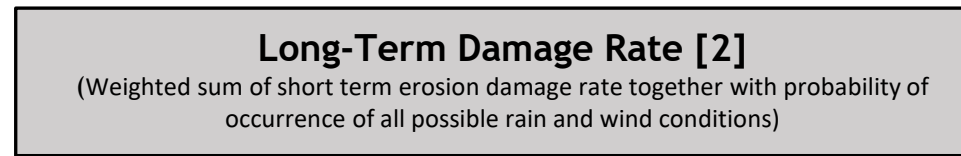
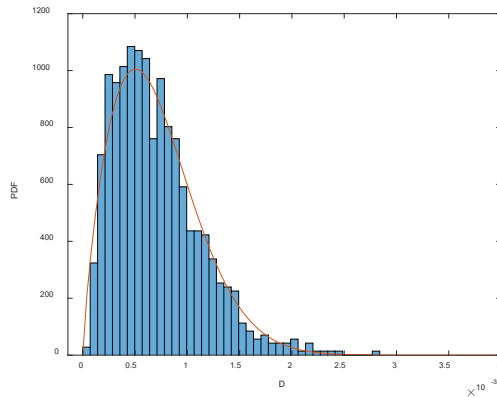
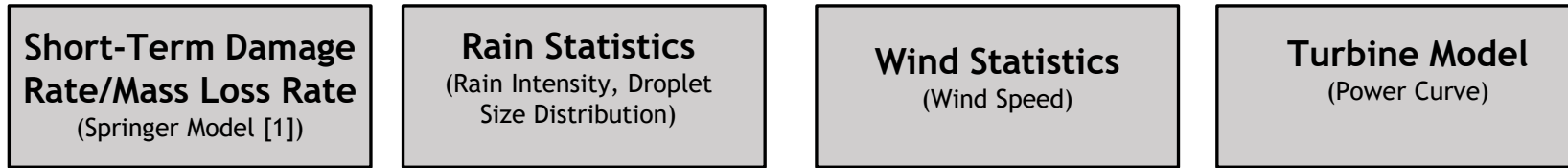
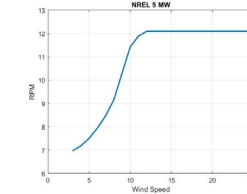
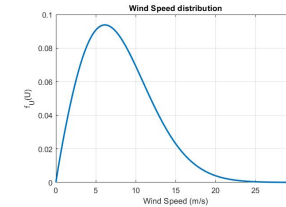
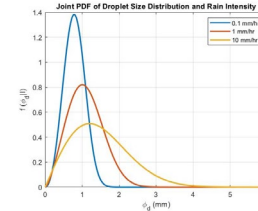
# Leading edge erosion classification



Erosion CAT	Description	Coating Mass Loss	Laminate Mass Loss	Turbine Power Loss
1	Light pitting of coating	<10%	0%	-
2	Small patches of missing coating	10% - 50%	0%	1%
3	Large patches of missing coating	50% - 100%	<10%	2%
4	Erosion of laminate	100%	10% - 100%	3%
5	Complete loss of laminate	100%	100%	5%

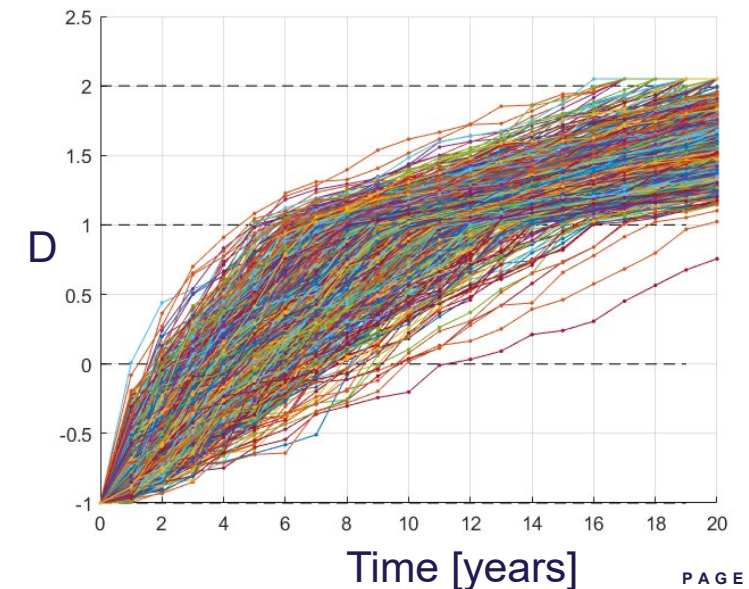
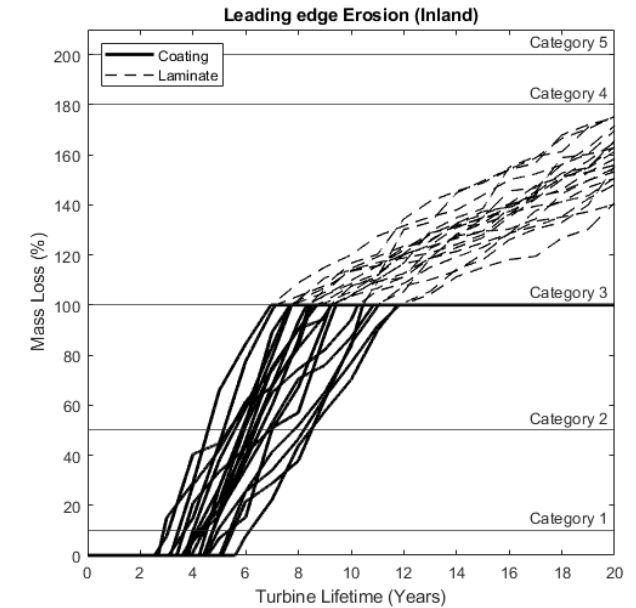
Assessment based on: "A White Paper on Blade Defect and Damage Categorization: Current State of the Industry." EPRI, Palo Alto, CA: 2020. 3002019669.

# Erosion damage growth model



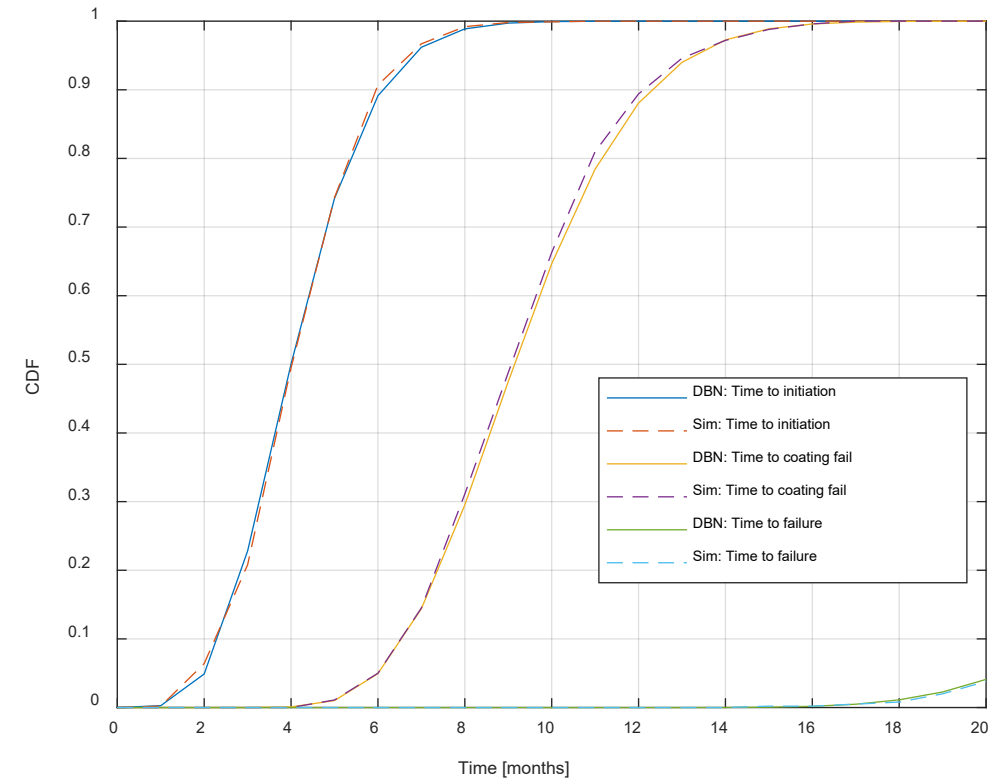
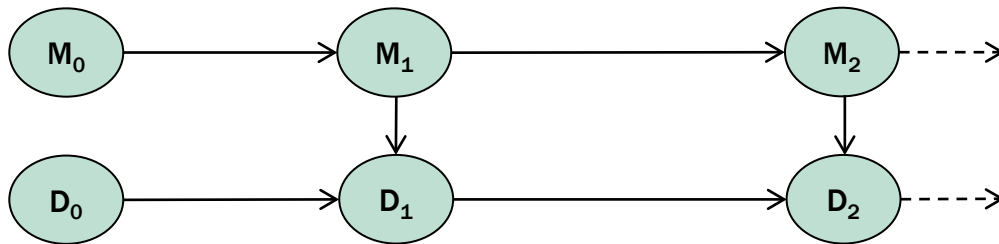
# Probabilistic damage growth model

- Physics based modelling of LEE
  - Initiation phase (damage rate)
  - Coating mass loss phase (mass loss rate)
  - Laminate mass loss phase (mass loss rate)
- Year to year variations in distribution parameters for rain intensity, wind distribution, droplet size
- Additional uncertainty added on damage rate  $D_{LT}$  (which also affects mass loss rates)
  - $\Delta D = D_{LT} \cdot X_{short} \cdot X_{long}$
  - $X_{short}$ : additional short term variation (lognormal)
  - $X_{long}$ : time-invariant uncertainty (lognormal)



# Bayesian network model

- ▶ D: damage size, 151 states
- ▶ M: model parameter  $X_{\text{long}}$ , 10 states
- ▶ Distribution  $P(D_i|D_{i-1}, M_i)$  found using 50 subintervals for  $D_{i-1}$  and  $M_i$ , and 100 simulated values of  $X_{\text{short}}$ ,  $D_{\text{LT}}$ , etc.



# Inspection model

	Likelihood of reported erosion CAT					
Actual Erosion CAT	No detection	CAT 1	CAT 2	CAT 3	CAT 4	CAT 5
CAT 1	75%	10%	9%	5%	1%	0%
CAT 2	30%	11%	28%	21%	7%	4%
CAT 3	20%	4%	16%	36%	20%	4%
CAT 4	5%	0%	14%	24%	43%	14%
CAT 5	0%	0%	5%	10%	40%	45%

# Cost model

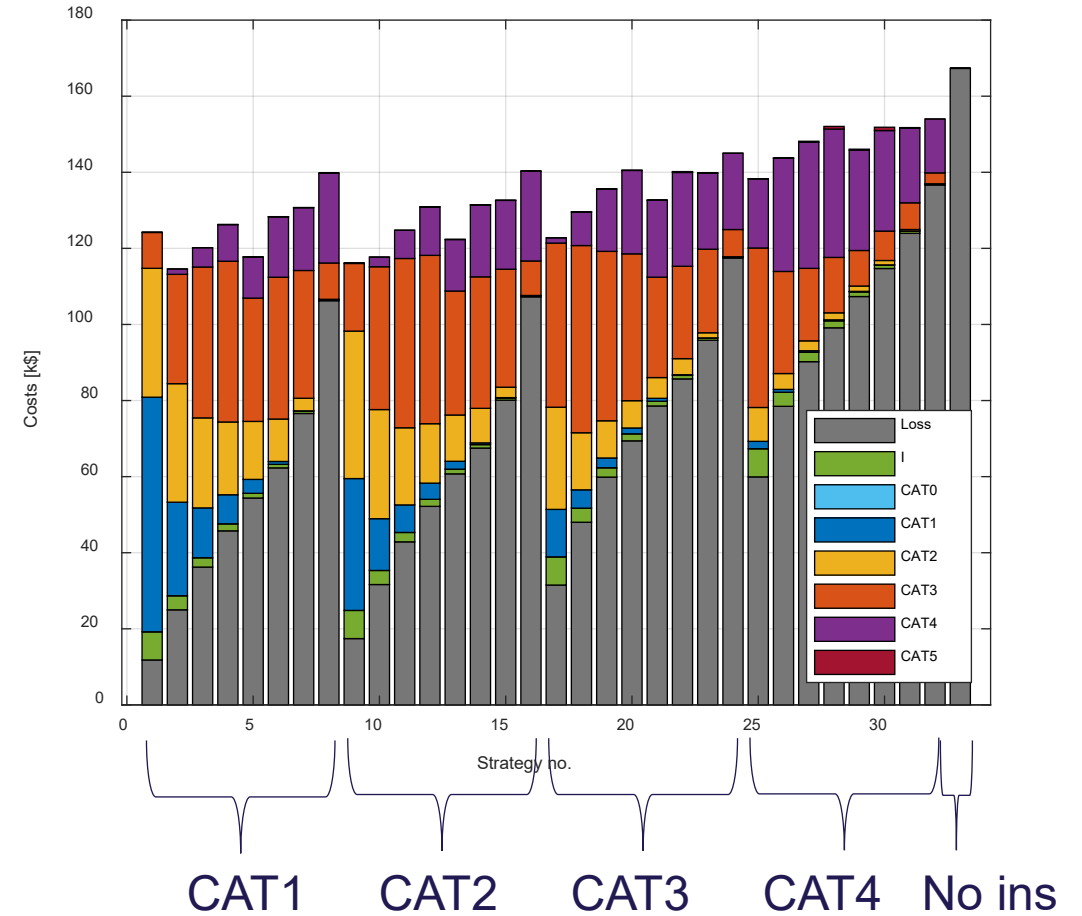
- Onshore US site
- Inspection cost: \$300
- Mobilization costs: \$1000
- Repair costs per day: \$5000
- Electricity price: 25 \$/MWh
- Power rating: 3.66 MW
- Capacity factor: 0.4 (0.19 for inspections/repairs)

	Duration	Direct costs \$	Revenue loss \$	Power loss	Annual AEP loss \$
Inspection	0.5 hour	300	8	-	-
CAT 1	2 days	11000	824	0%	-
CAT 2	3 days	16000	1236	1%	1603
CAT 3	6 days	31000	51668	2%	6412
CAT 4	7 days	36000	77502	3%	9618
CAT 5	14 days	71000	129171	5%	16031

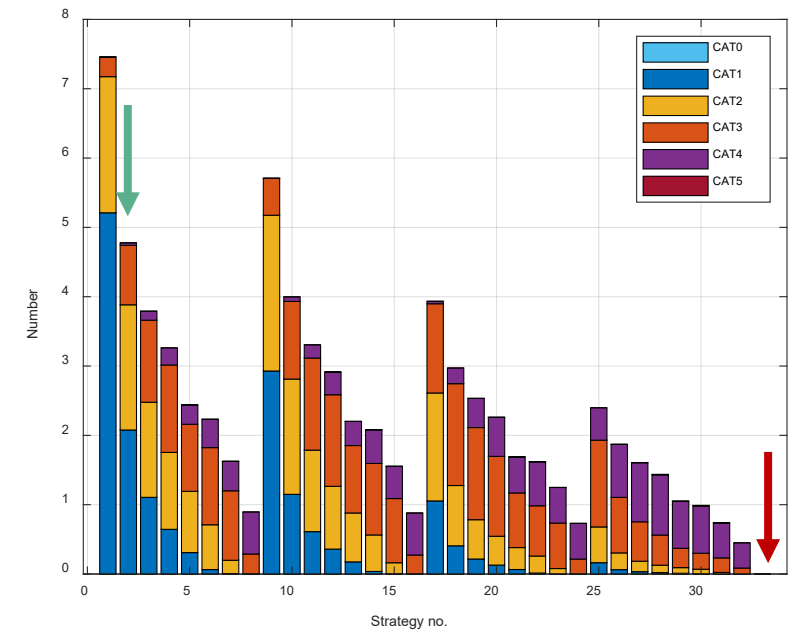
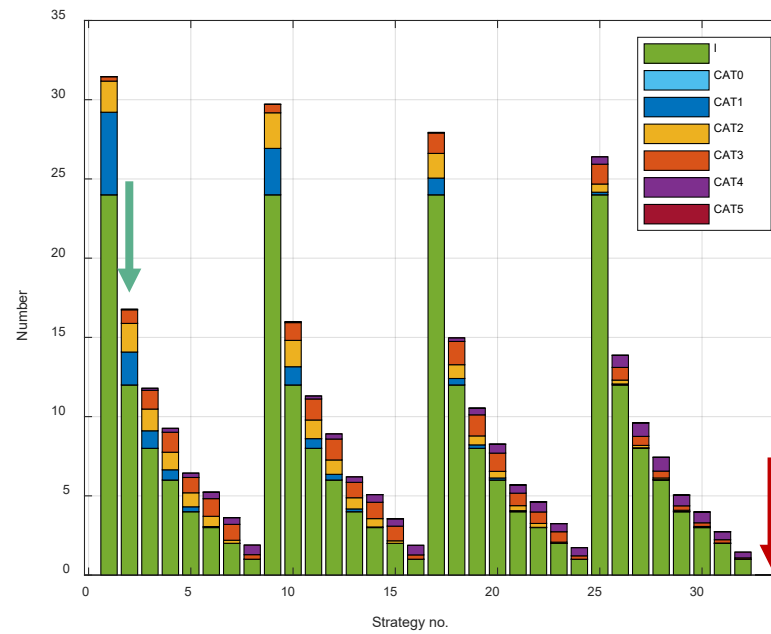
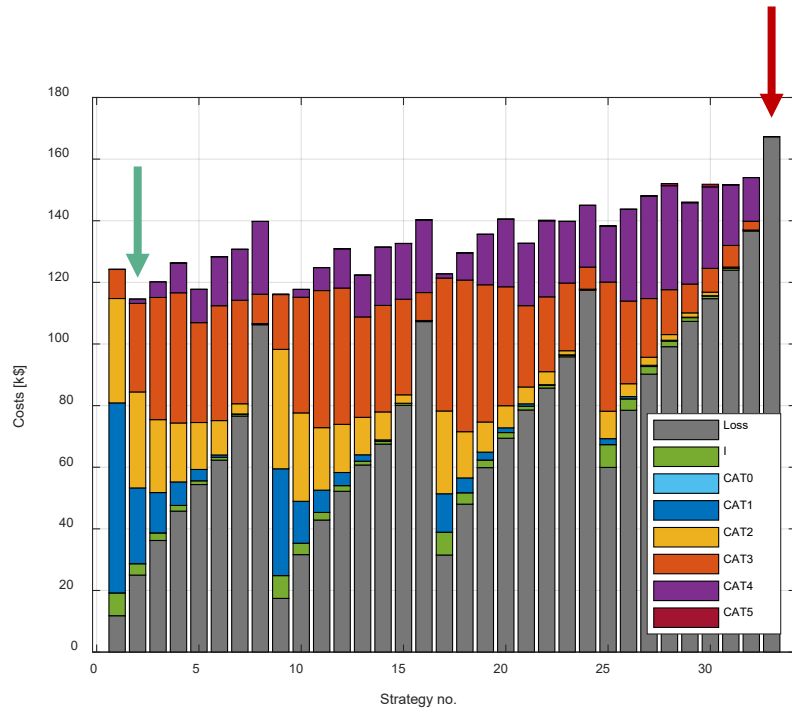
# Strategies

## ► Strategies:

- Repair threshold CAT1 to CAT4
- Inspection interval 1, 2, 3, 4, 5, 7, 9, 13 year



# Costs and number of inspections/repairs

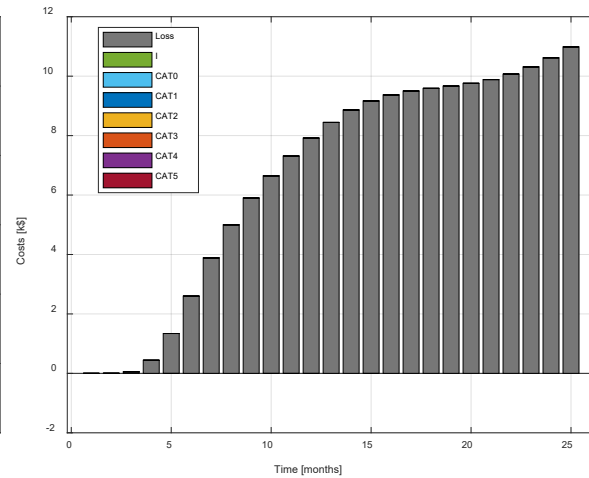
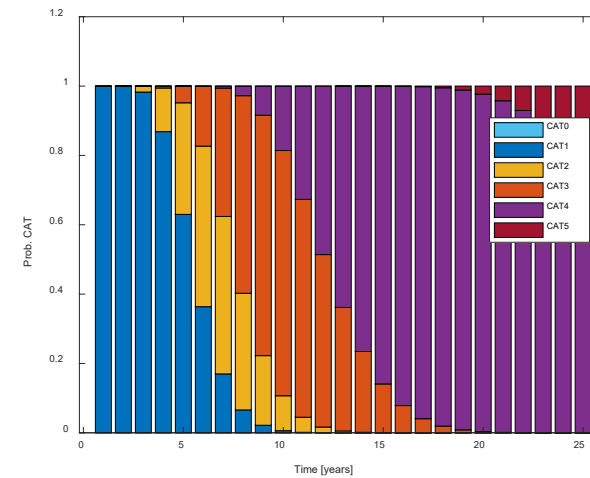
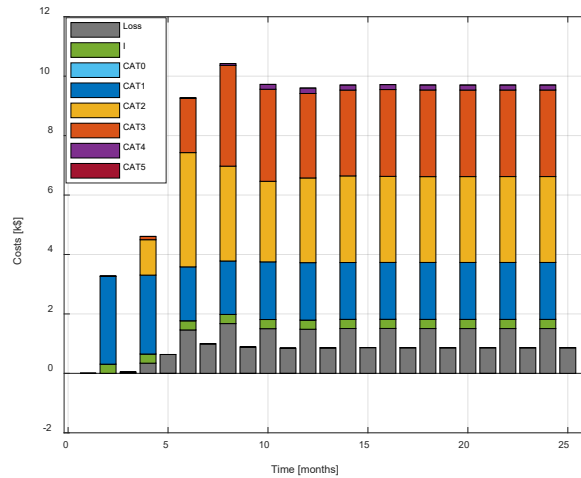
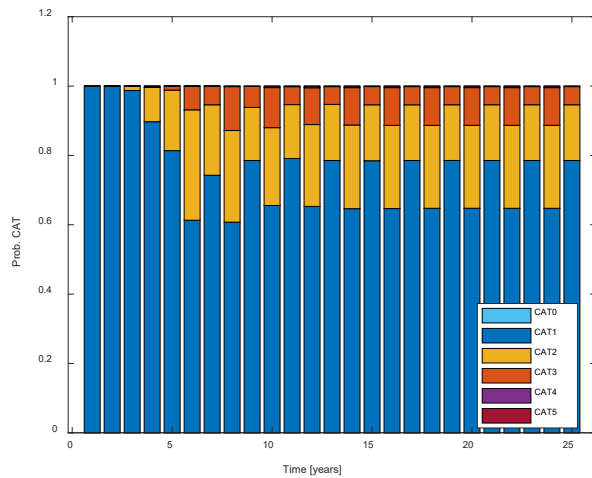




# Comparison of strategies

- Optimal strategy
  - Inspection every second year
  - Repair CAT 1

- Worst strategy
  - No inspections
  - No repairs

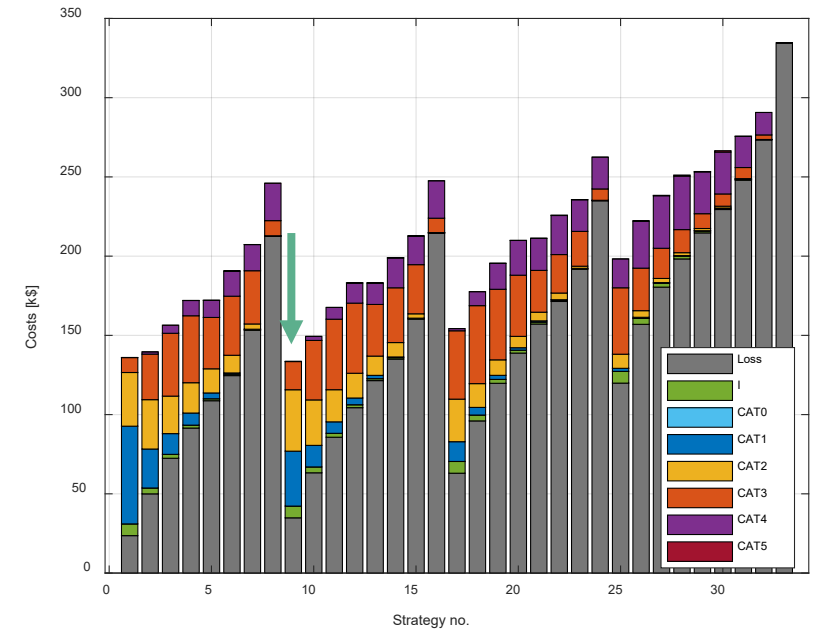
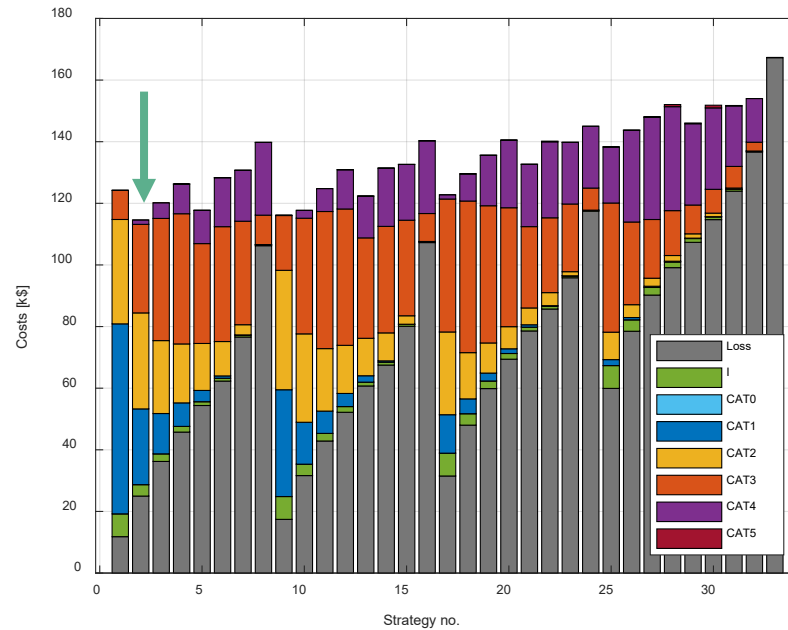
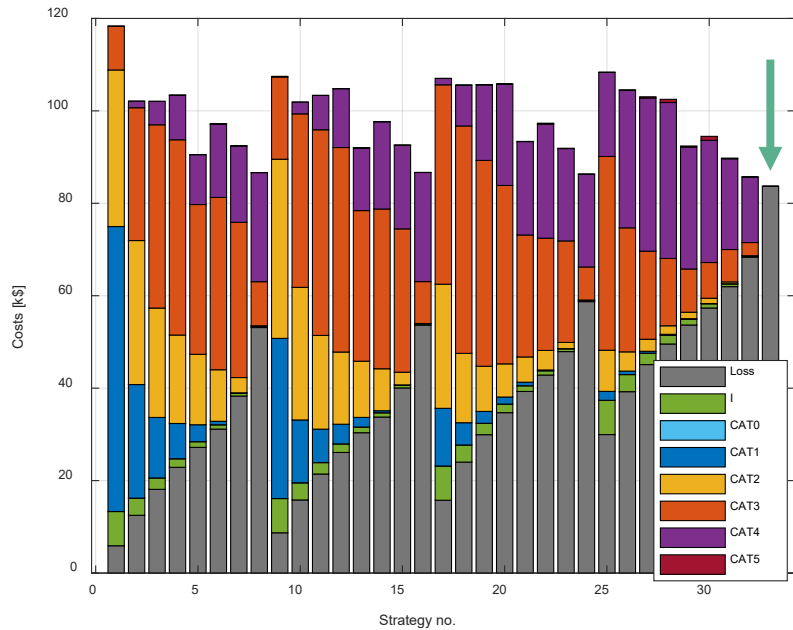


# Influence of production loss

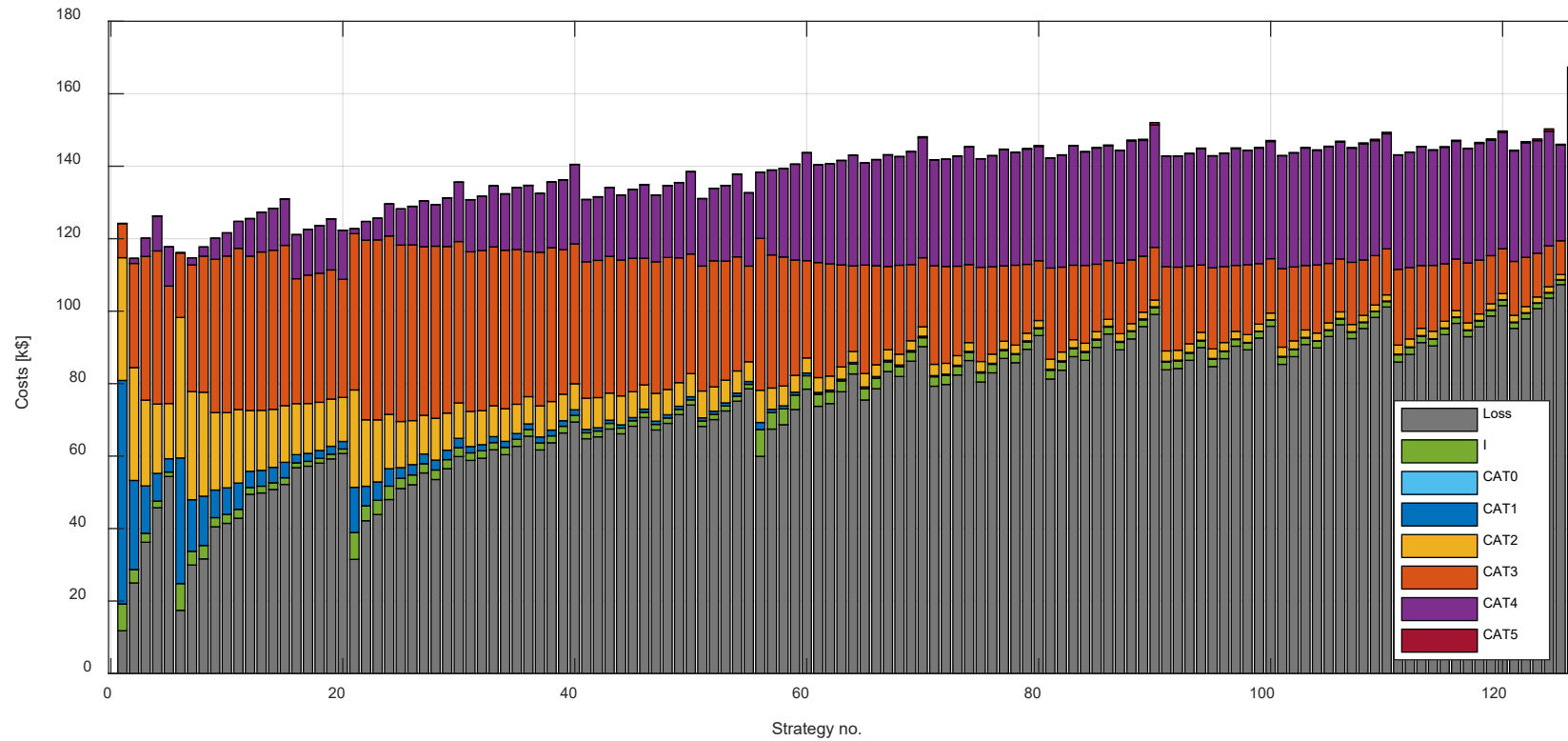
- ▶ Max 2.5%
  - ▶ No inspections

- ▶ Max 5% (base case)
  - ▶ 2 year, CAT1

- ▶ Max 10%
  - ▶ 1 year, CAT2

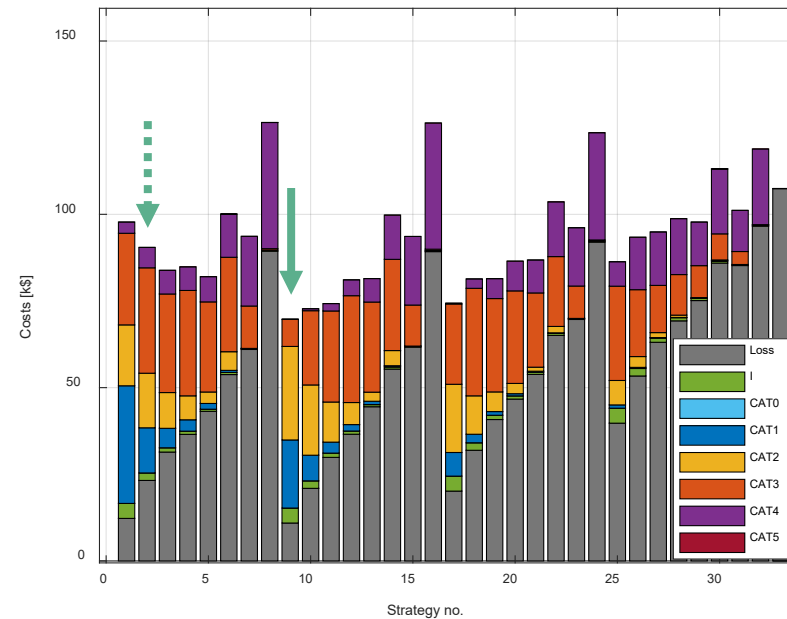
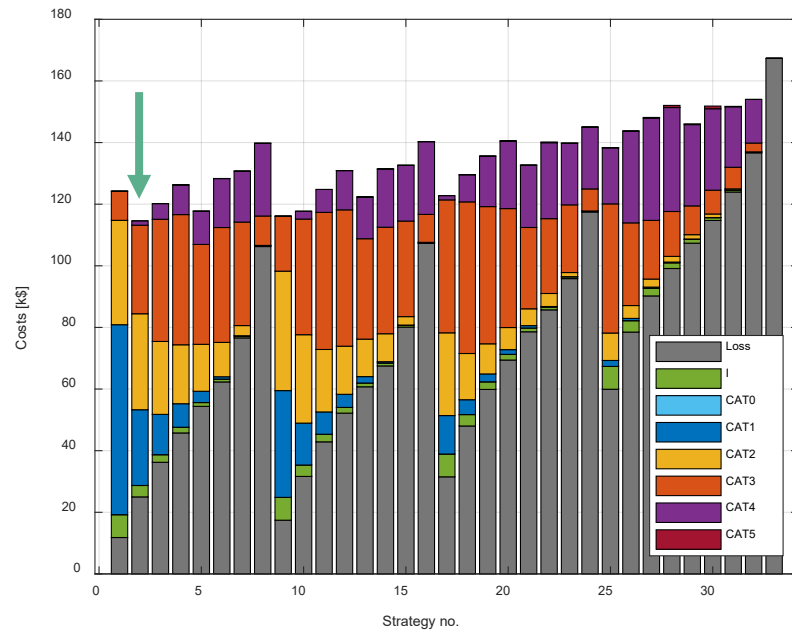


# Variable inspection interval 1-5 yr



# Adaptive strategy - example

- ▶ Following the initially optimal strategy the first 10 years (2 year, CAT1)
  - ▶ Nothing detected in any years -> change to 1 year inspections, CAT 2 repairs



# Conclusions

- ▶ Demonstrates a framework for optimal O&M strategies for leading edge erosion
- ▶ Heuristic adaptive strategies as an alternative to ML approaches
- ▶ To be further developed to include additional data
- ▶ Important for the results that models are realistic (repair, loss, ...)

**Thank you for your attention**

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