

# Recent Results from MINOS and MINOS+

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Collaborations



XXVIII International Conference  
on Neutrino Physics and  
Astronomy  
4 June 2018  
Heidelberg, Germany

# Outline

- MINOS and MINOS+ overview
- **New:** Final Three-flavor oscillation results
  - Full MINOS and MINOS+  $\nu_\mu$  and  $\bar{\nu}_\mu$  beam samples
    - Updated with final year of beam data
  - Full MINOS and MINOS+ atmospheric samples
    - Updated with final three years of atmospheric data
  - MINOS  $\nu_e$  appearance sample
- **New:** Search for sterile neutrinos
  - $\nu_\mu$ -CC and NC disappearance
    - Full MINOS beam sample
    - First two years of MINOS+
  - New two-detector joint fit
- Additional Beyond the Standard Model searches
- Conclusions

# MINOS and MINOS+ Overview

- MINOS and MINOS+ were designed to study neutrino oscillations over long baselines using two detectors that are:

- Iron-scintillator tracking calorimeters to contain muons
- Functionally identical for systematic uncertainty reduction
- Magnetized for sign selection and energy estimation



## Far Detector

- Underground in Soudan mine
- 735 km from target
- 5.4 kton mass

Detectors are on-axis for NuMI neutrino beam

## Near Detector

- At Fermilab
- 1 km from target
- 1 kton mass

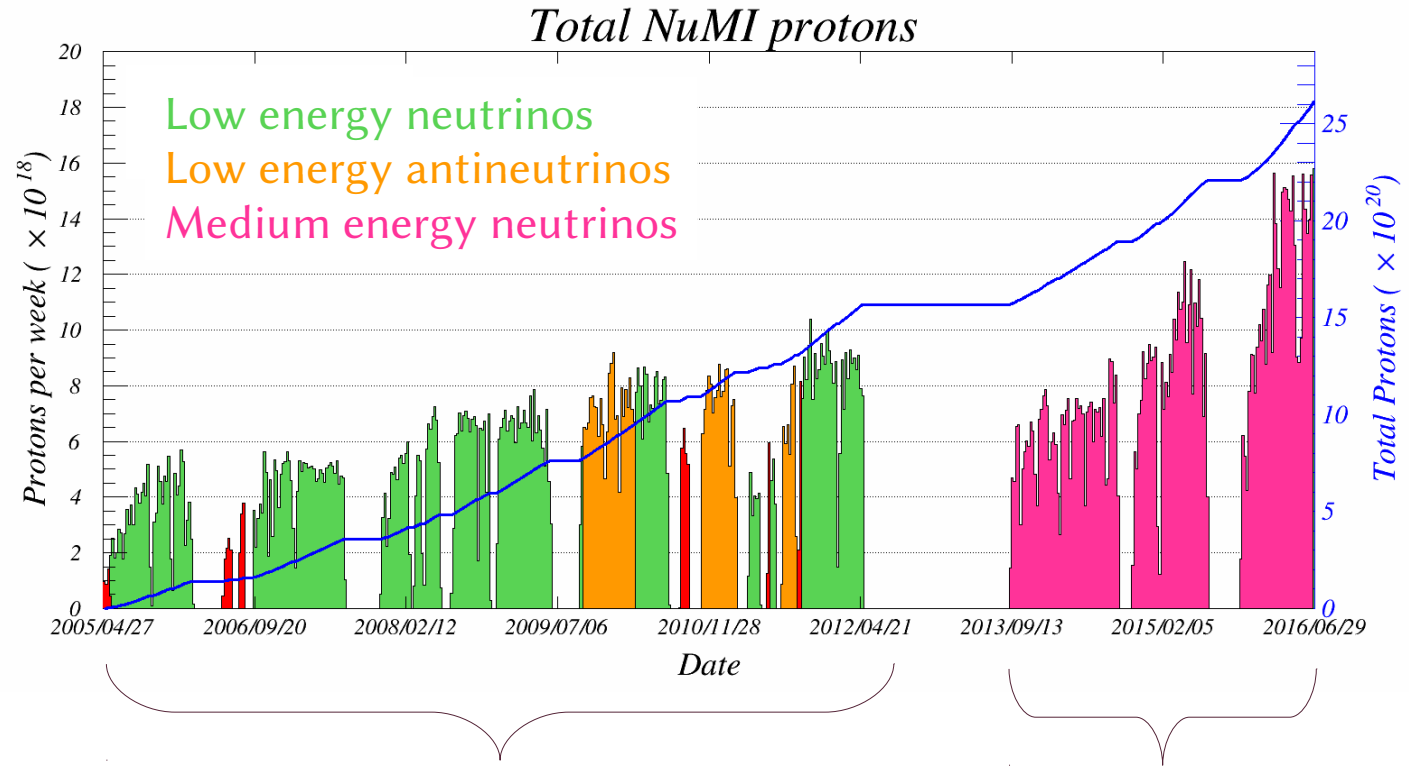
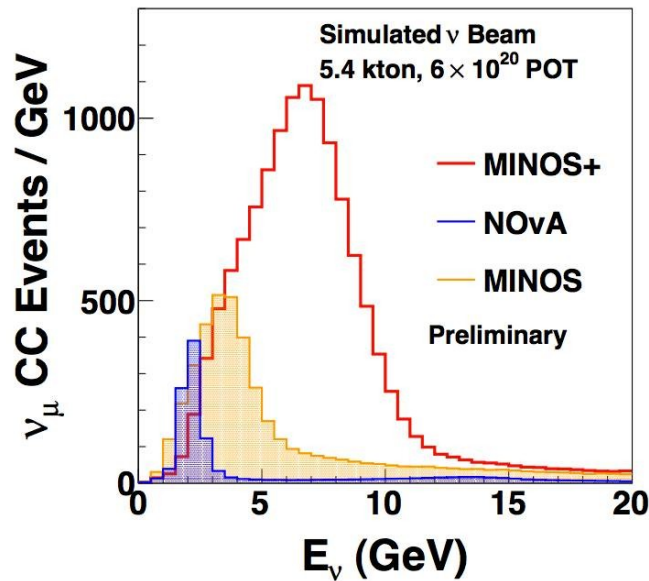
# MINOS and MINOS+ Beam

## MINOS:

- ~3 GeV peak energy
- Study oscillations at atmospheric frequency

## MINOS+:

- ~7 GeV peak energy
- Constrain deviations from 3 flavor paradigm



## MINOS era:

- $10.56 \times 10^{20}$  POT (neutrino-mode)
- $3.36 \times 10^{20}$  POT (antineutrino-mode)

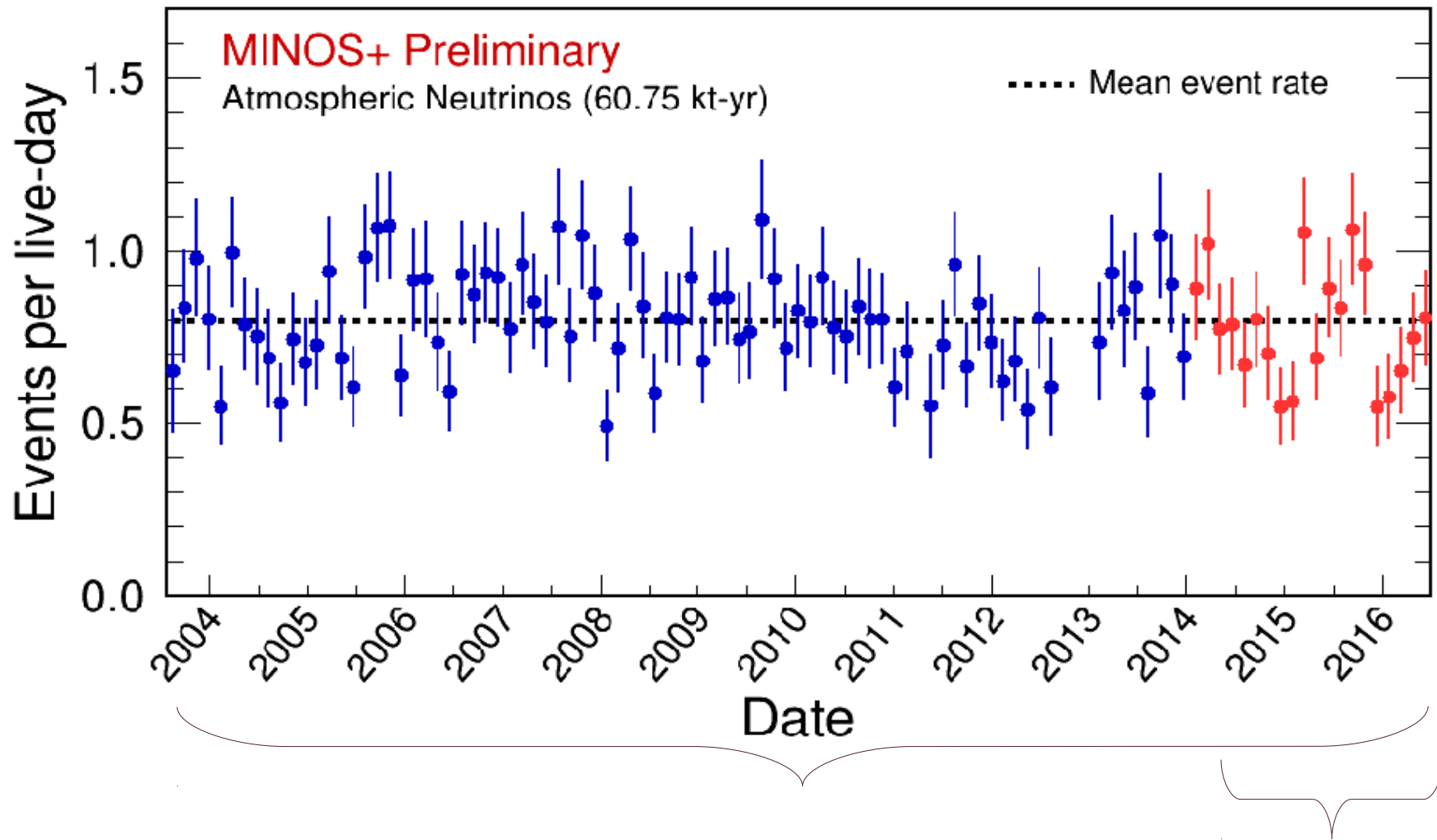
## MINOS+ era:

- $9.69 \times 10^{20}$  POT

## Total:

- $\sim 25 \times 10^{20}$  POT in 11 years of running

# MINOS and MINOS+ Atmospheric Neutrinos



Full dataset (2003 – 2016): 60.8 kt-yr

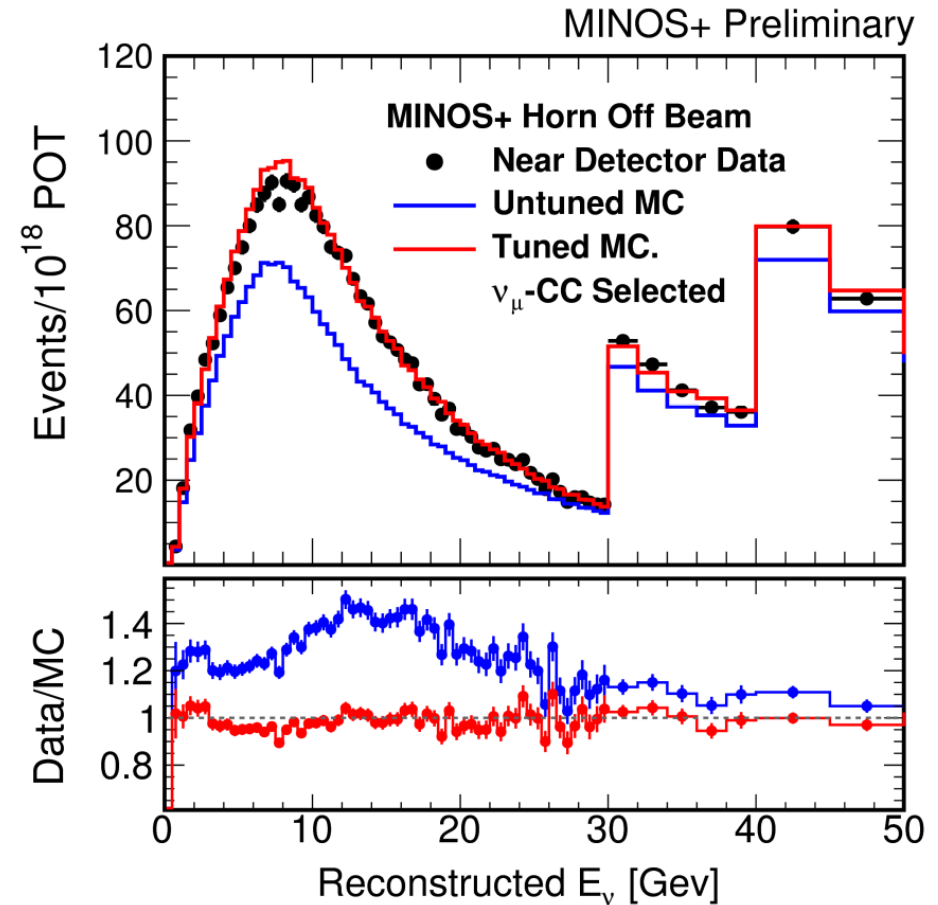
New:  
12.1 kt-yr (~20% of total sample)

# Three-Flavor Oscillation Analysis



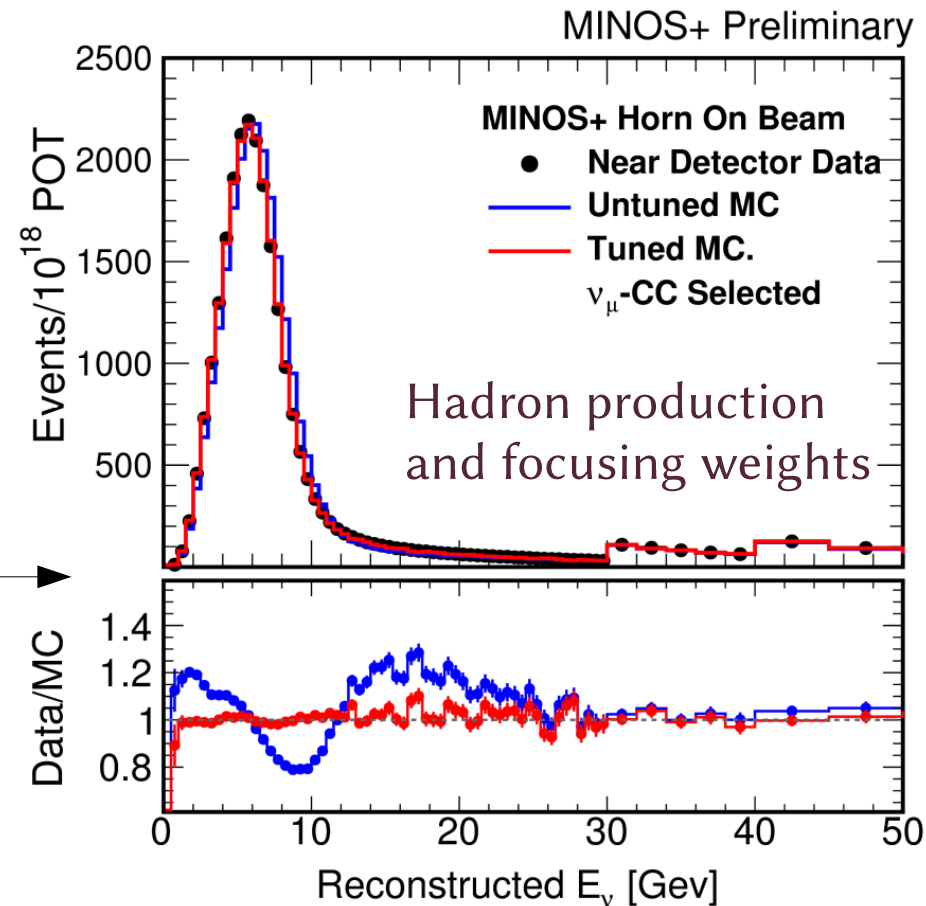
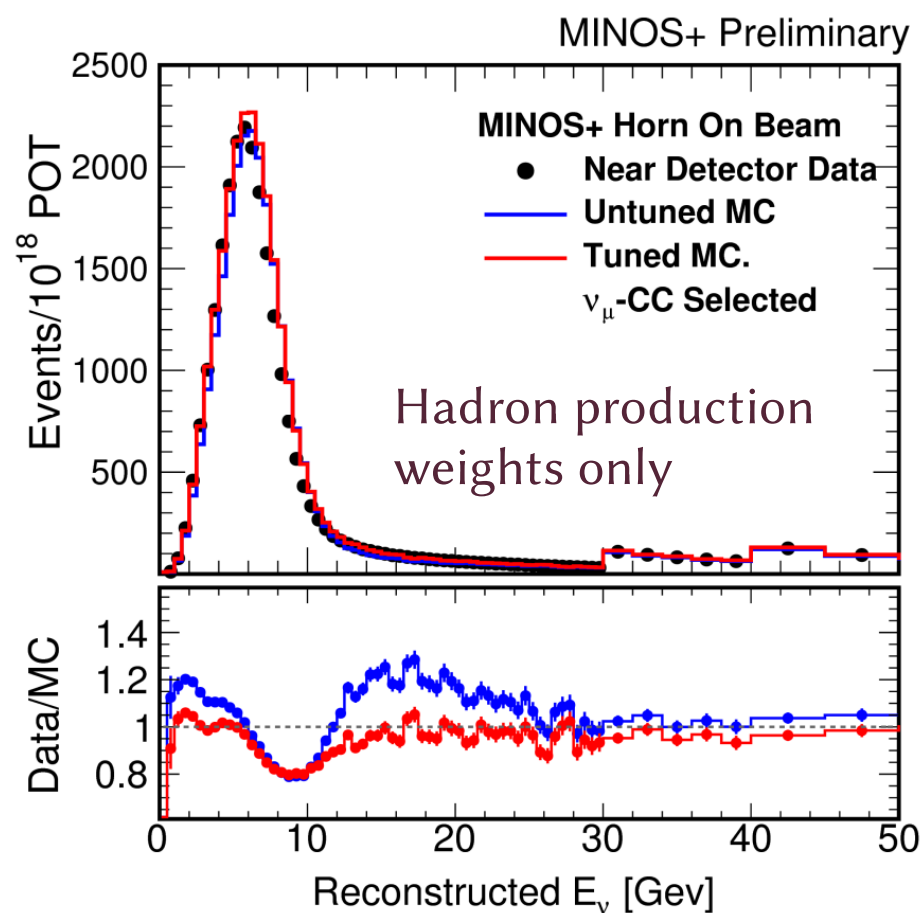
# Beam Flux Estimation: Hadron Production

- Standard analysis uses ND data to produce extrapolated FD predictions
- Improving the beam flux estimate makes this technique more powerful
- Parameterize hadron production for pions and translate to kaons using measured pion/kaon ratios
- Warp parameterization to fit ND data with no focusing to isolate just hadron production



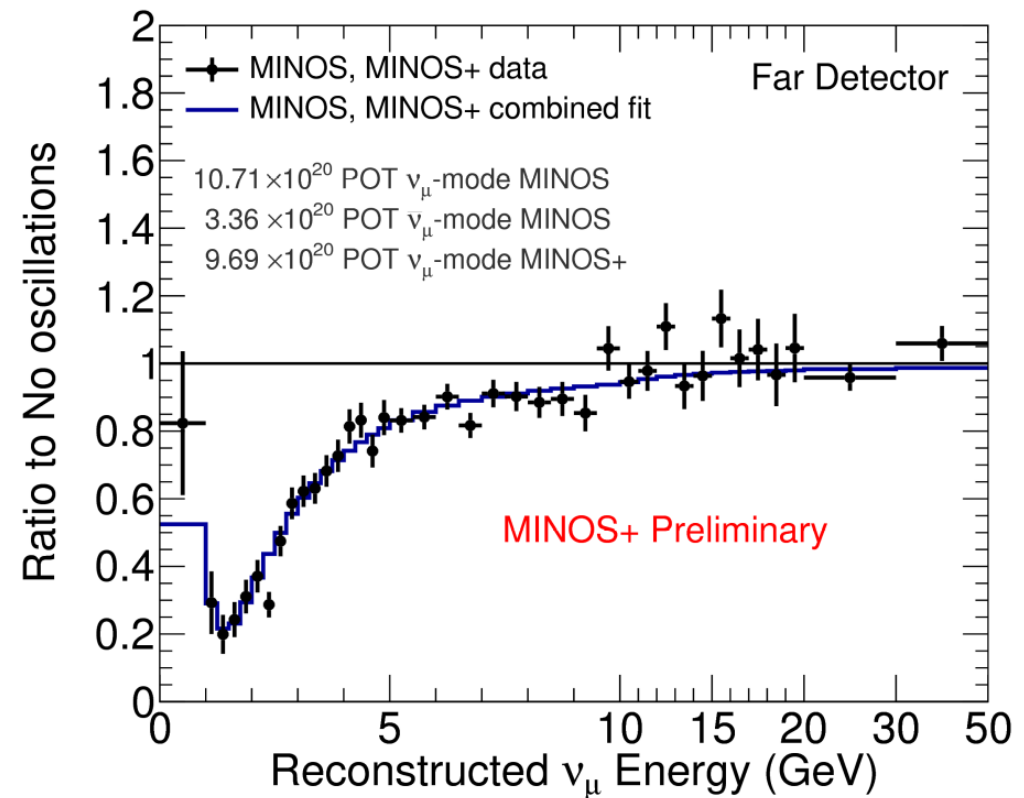
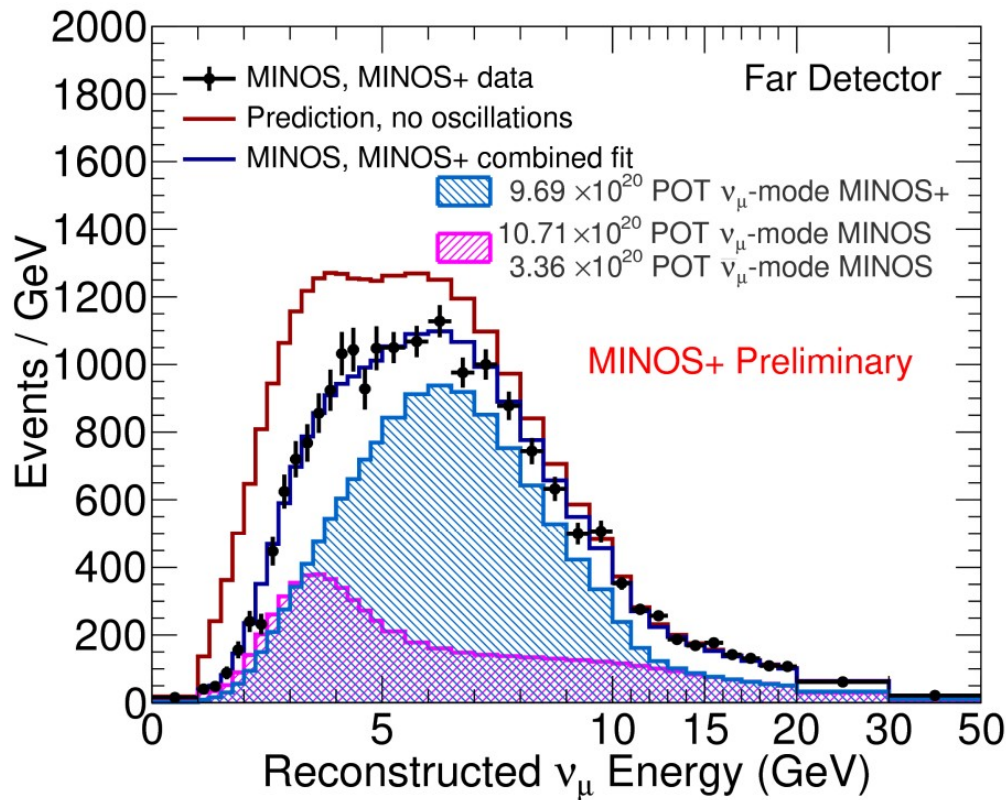
# Beam Flux Estimation: Focusing

- Hadron production and focusing effects are separable
  - Apply hadron production weights from focusing off sample to sample with focusing on
  - Fit for focusing effects
- Poster: Wednesday #89, A. Holin



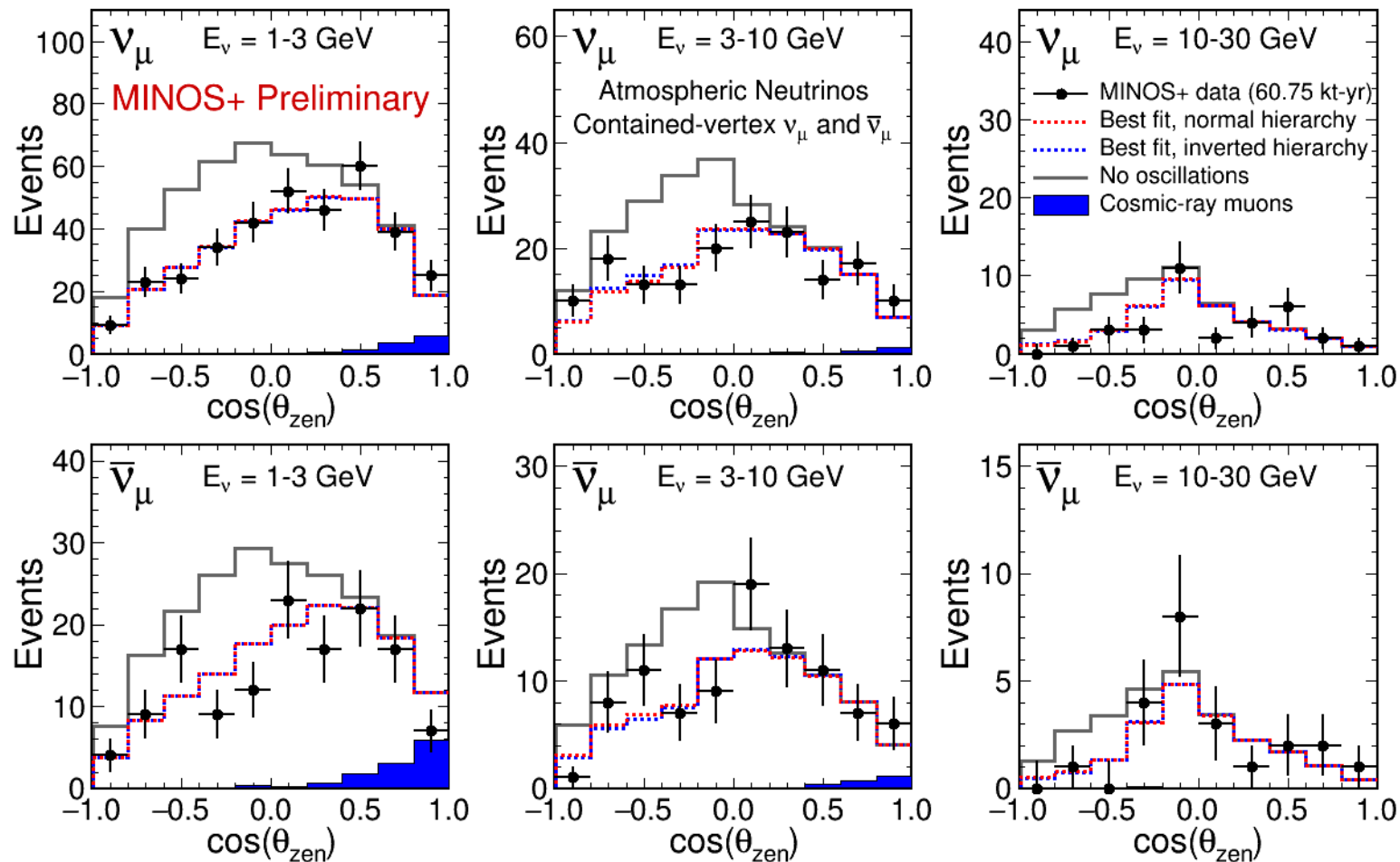


# Far Detector Beam Data



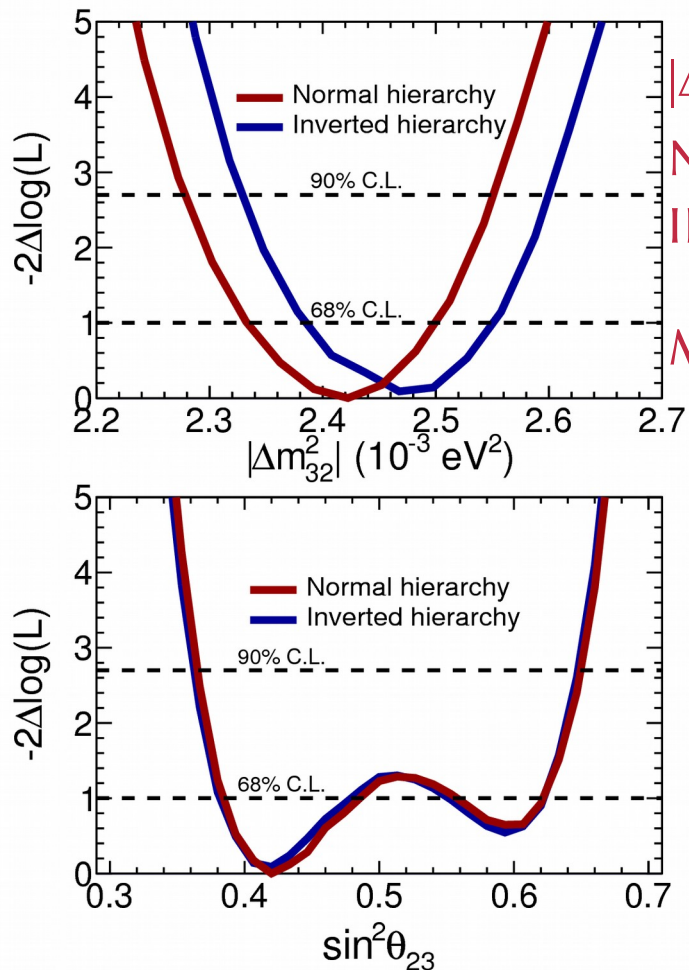
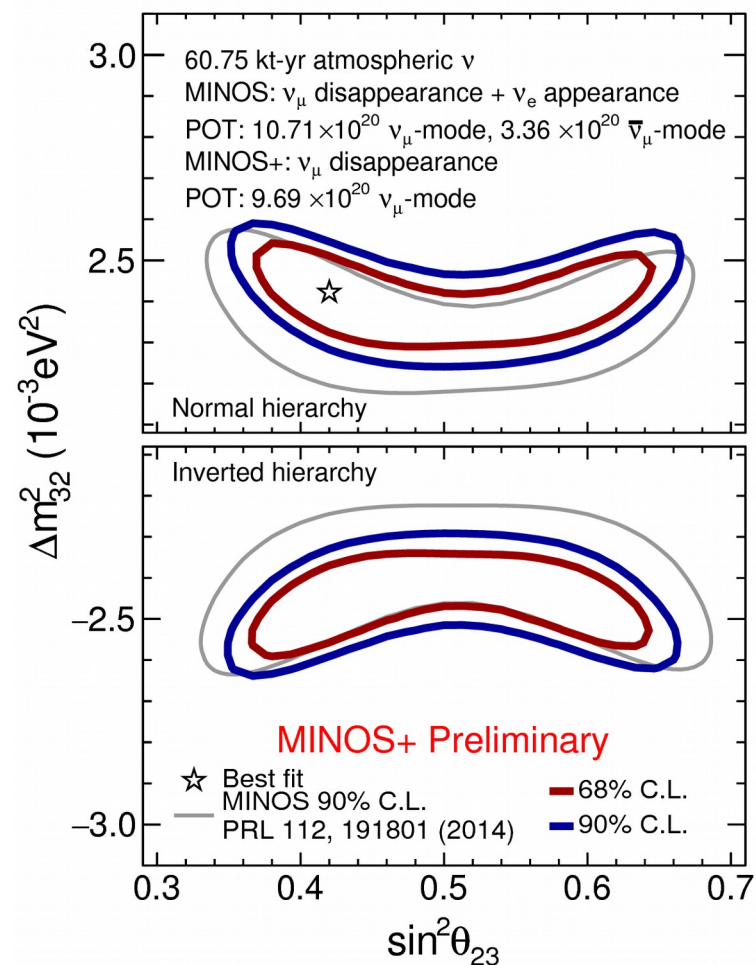
- MINOS and MINOS+ probe muon-neutrino disappearance over a broad range of energies
- Consistency with three flavor prediction tightly constrains alternate oscillations hypotheses

# Far Detector Atmospheric Data



- Fit in bins of  $\cos(\theta_{zen})$  and energy
- Magnetic field helps separate atmospheric neutrino and antineutrino samples for extra mass hierarchy discrimination
- Complements beam neutrino samples

# Combined Fit Results



$|\Delta m^2_{32}|$  90% C.L. intervals  
 NH:  $(2.28 - 2.55) \times 10^{-3} \text{ eV}^2$   
 IH:  $(2.33 - 2.60) \times 10^{-3} \text{ eV}^2$

Measured to  $\sim 3.5\%$  at 68% C.L.

$\sin^2\theta_{23}$  90% C.L. interval  
 0.36 - 0.65

Best fit

$$\Delta m^2_{32} = 2.42 \times 10^{-3} \text{ eV}^2$$

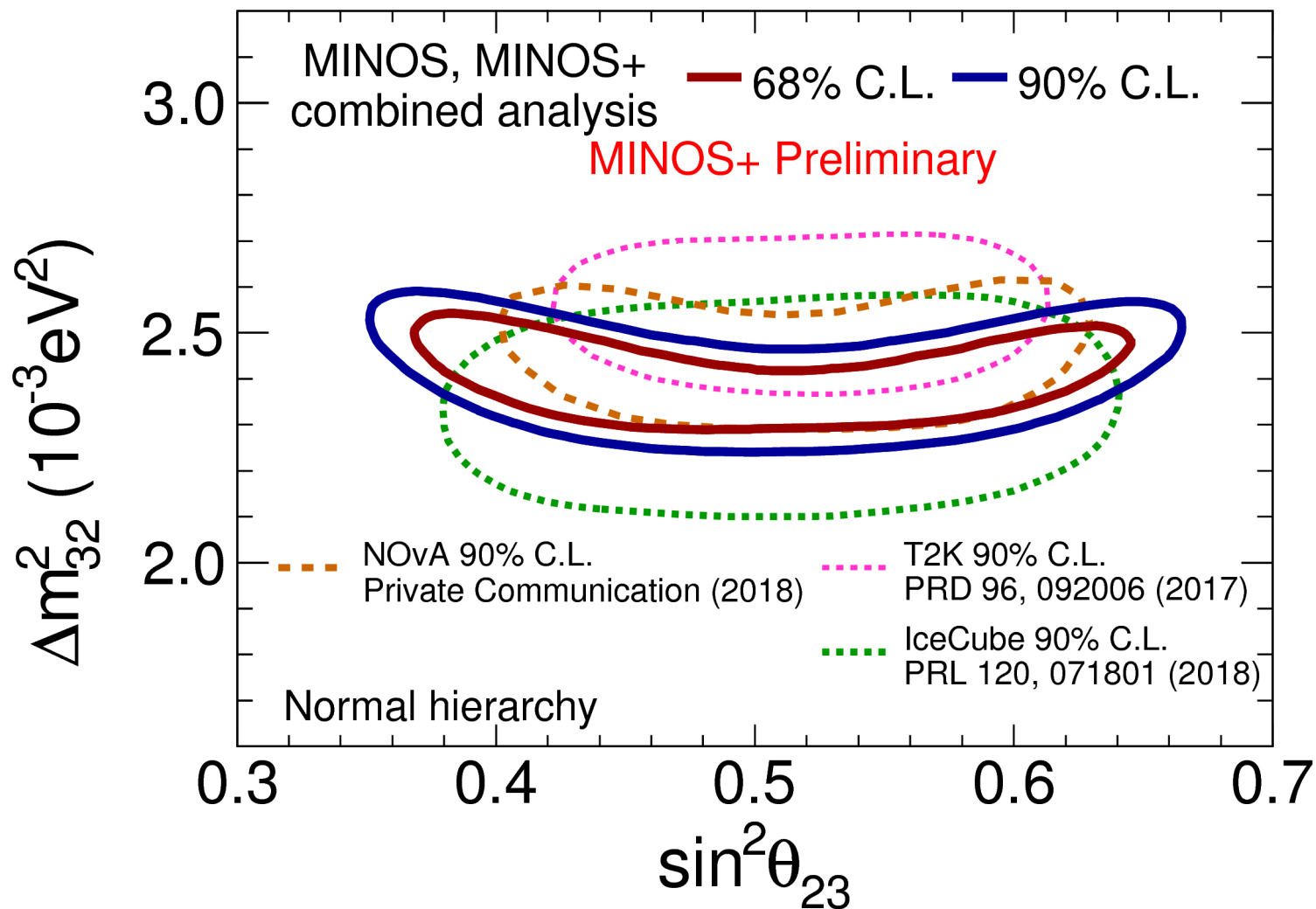
$$\sin^2\theta_{23} = 0.42$$

Exclusion of maximal mixing:  $1.1\sigma$

Preference for lower octant:  $0.8\sigma$

Preference for normal hierarchy:  $0.2\sigma$

# Comparison with Other Experiments



Poster: Wednesday #53, T. Carroll

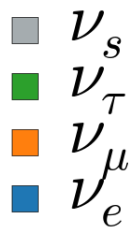
# Sterile Neutrino Search



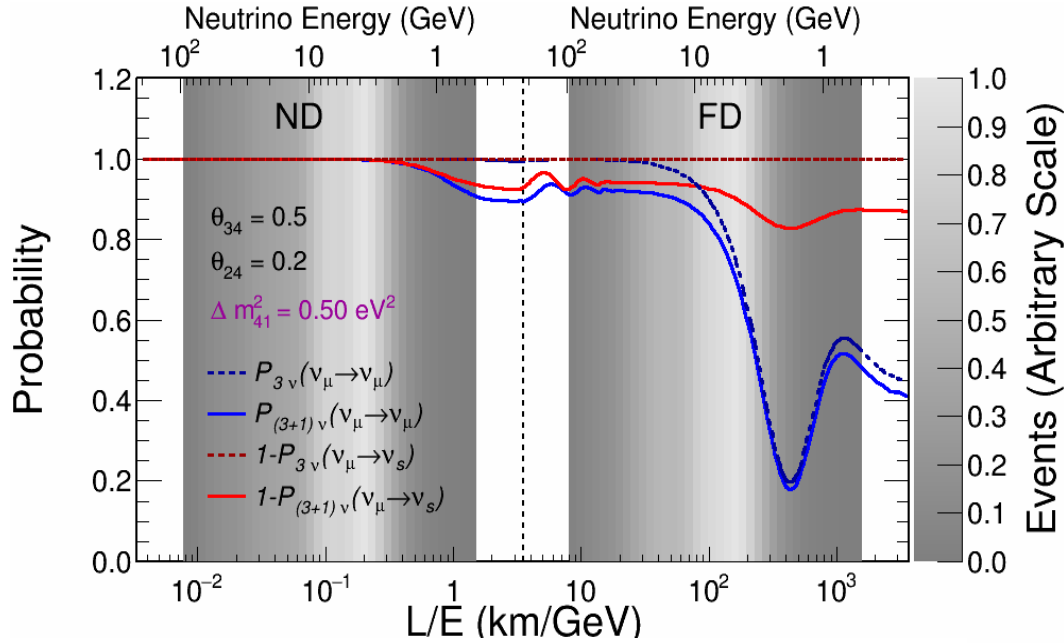
# 3+1 Model

- Anomalous short-baseline results consistent with new mass state and new sterile flavor
- Expand PMNS matrix from 3x3  $\rightarrow$  4x4
- 6 new parameters
  - One mass scale ( $\Delta m^2_{41}$ )
  - Three mixing angles ( $\theta_{14}, \theta_{24}, \theta_{34}$ )
  - Two CP-violating phases ( $\delta_{14}, \delta_{24}$ )
- Search in two modes
  - Neutral current disappearance
    - NC rate is insensitive to 3 flavor mixing
    - Sterile neutrinos do not couple to the Z boson
    - Sensitive to  $\Delta m^2_{41}, \theta_{24}, \theta_{34}$
  - $\nu_\mu$  charged current disappearance
    - Three flavor oscillations are modulated by the higher frequency sterile oscillations
    - Sensitive to  $\Delta m^2_{41}$  and  $\theta_{24}$

$$U = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} & U_{e4} \\ U_{\mu1} & U_{\mu2} & U_{\mu3} & U_{\mu4} \\ U_{\tau1} & U_{\tau2} & U_{\tau3} & U_{\tau4} \\ U_{s1} & U_{s2} & U_{s3} & U_{s4} \end{pmatrix}$$



# 4-Flavor Oscillations

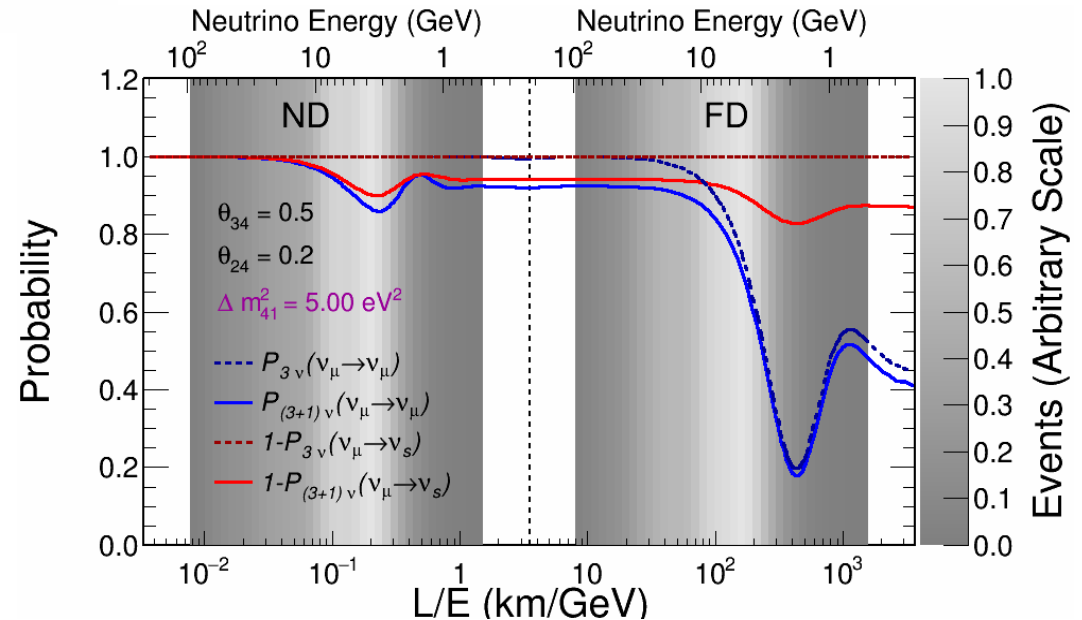


Small  $\Delta m_{41}^2$ :

- Oscillations at high energies in the FD
- No oscillation at the ND

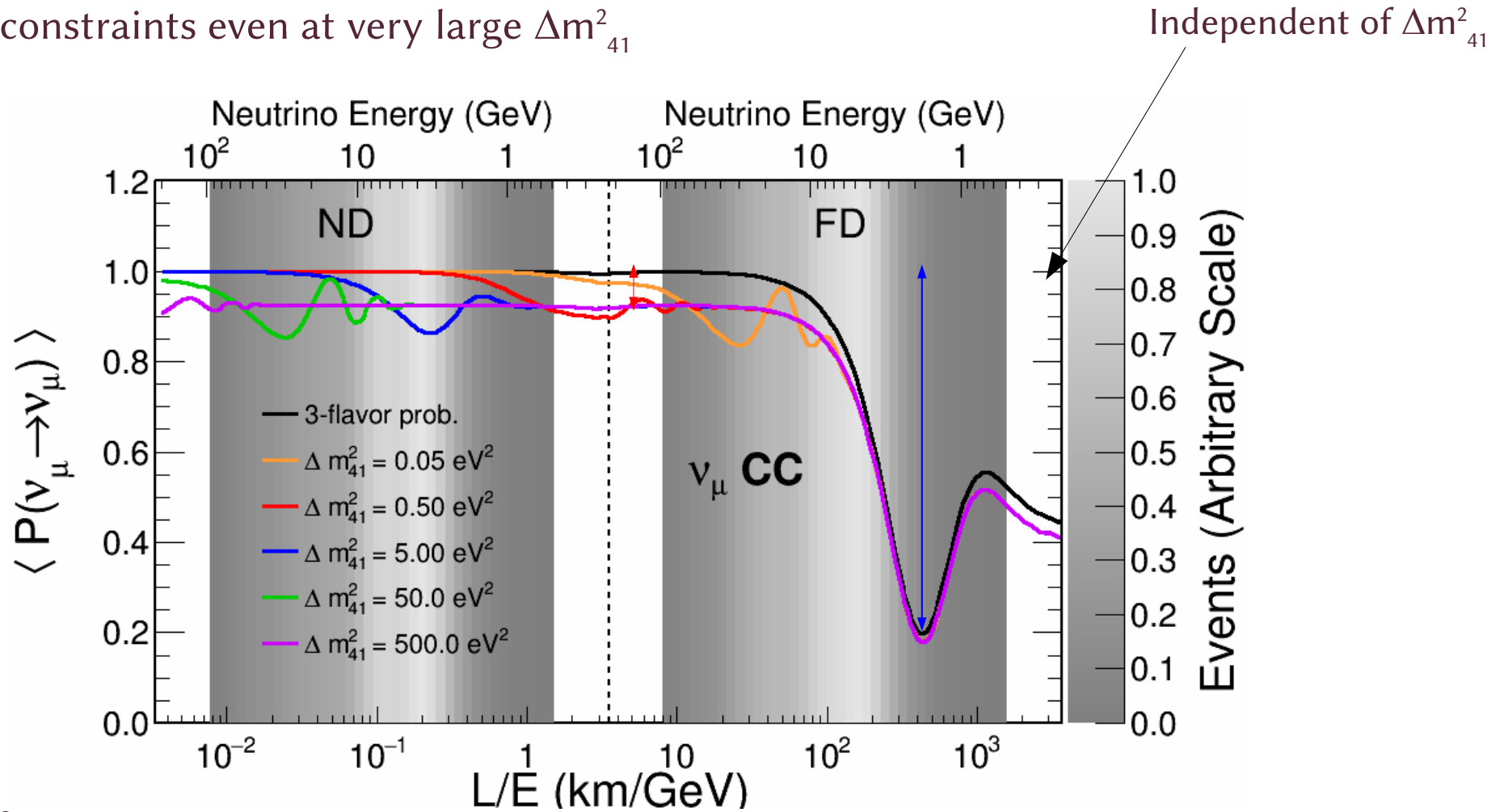
Large  $\Delta m_{41}^2$ :

- Due to finite energy resolution, rapid oscillations at the FD average out
- Large oscillations at the ND



# Oscillations at Very Large $\Delta m_{41}^2$

Interplay between shape and normalization gives strong constraints even at very large  $\Delta m_{41}^2$



Rapid oscillation regime causes normalization shifts

$$P(\nu_\mu \rightarrow \nu_\mu) \approx 1 - \sin^2 2\theta_{23} \cos 2\theta_{24} \sin^2 \Delta_{31} - \sin^2 2\theta_{24} \sin^2 \Delta_{41}$$

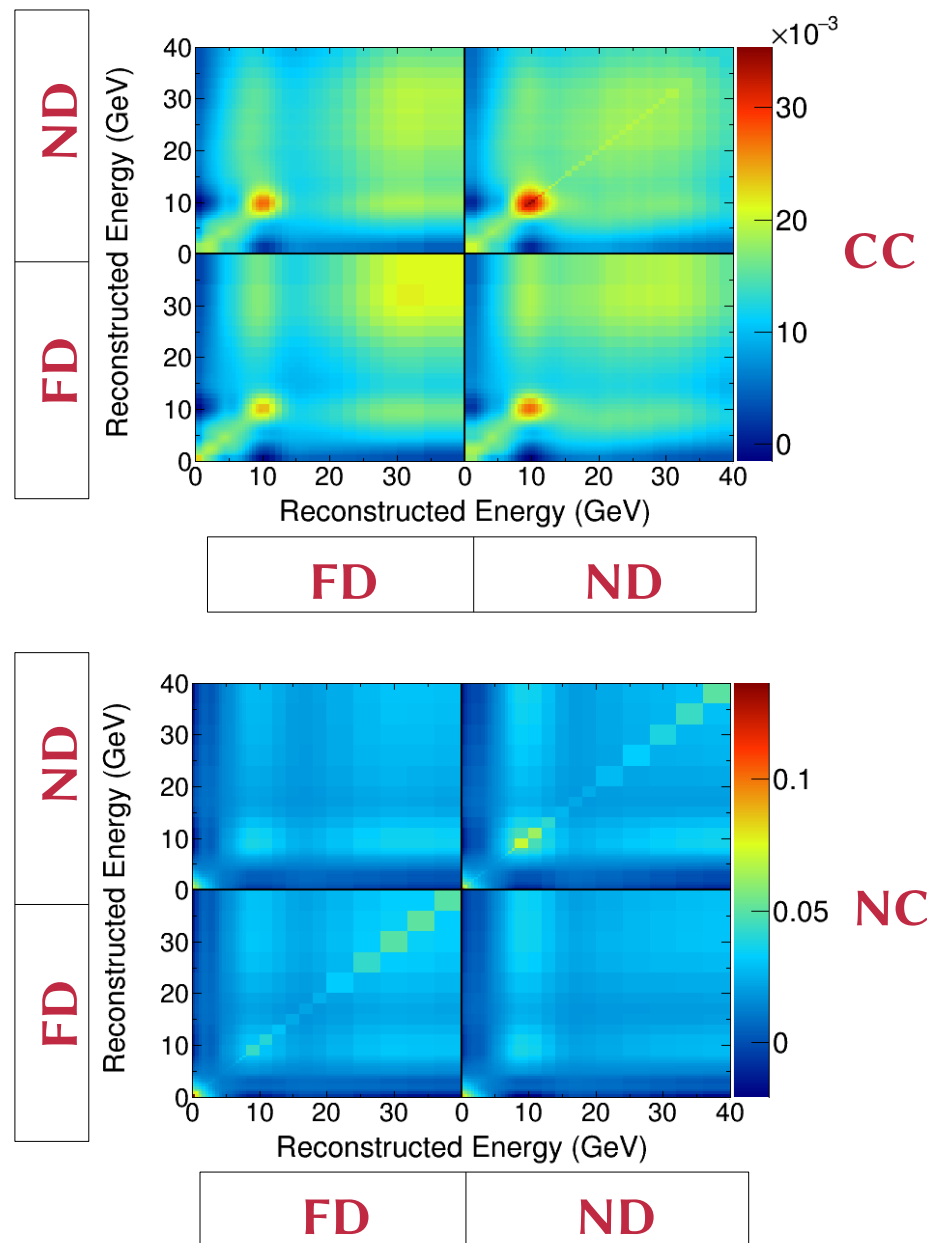
Already constrained by near-maximal mixing



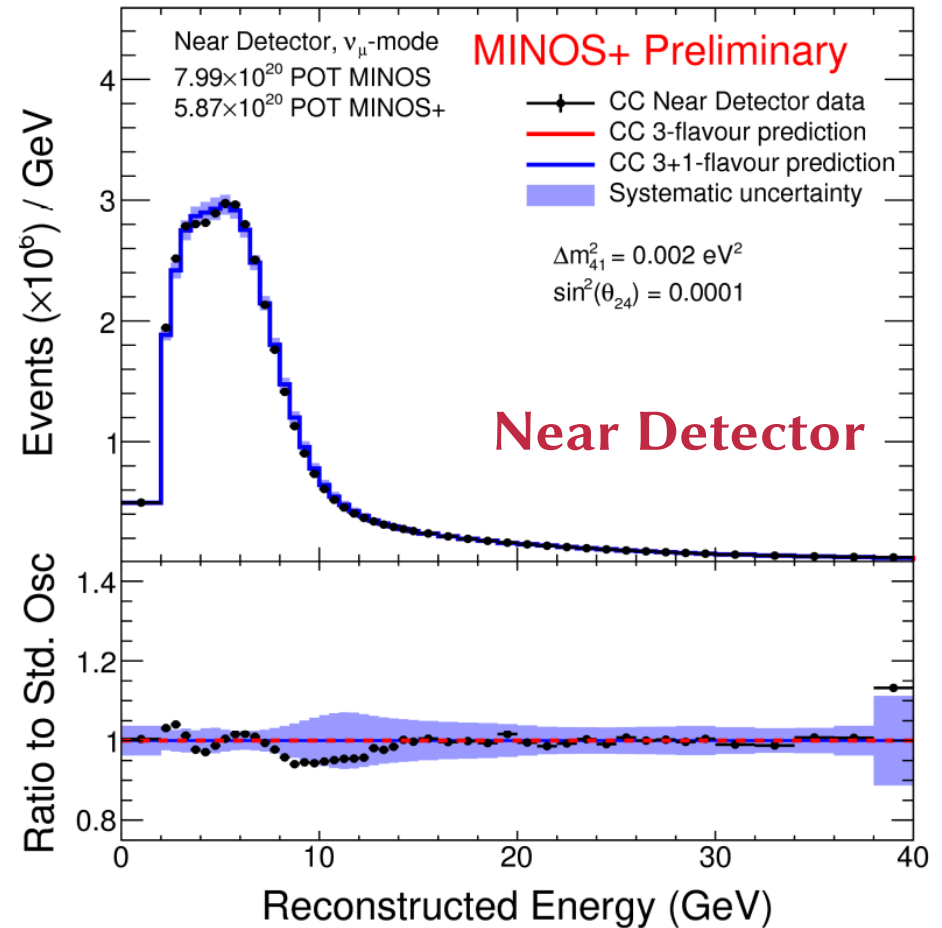
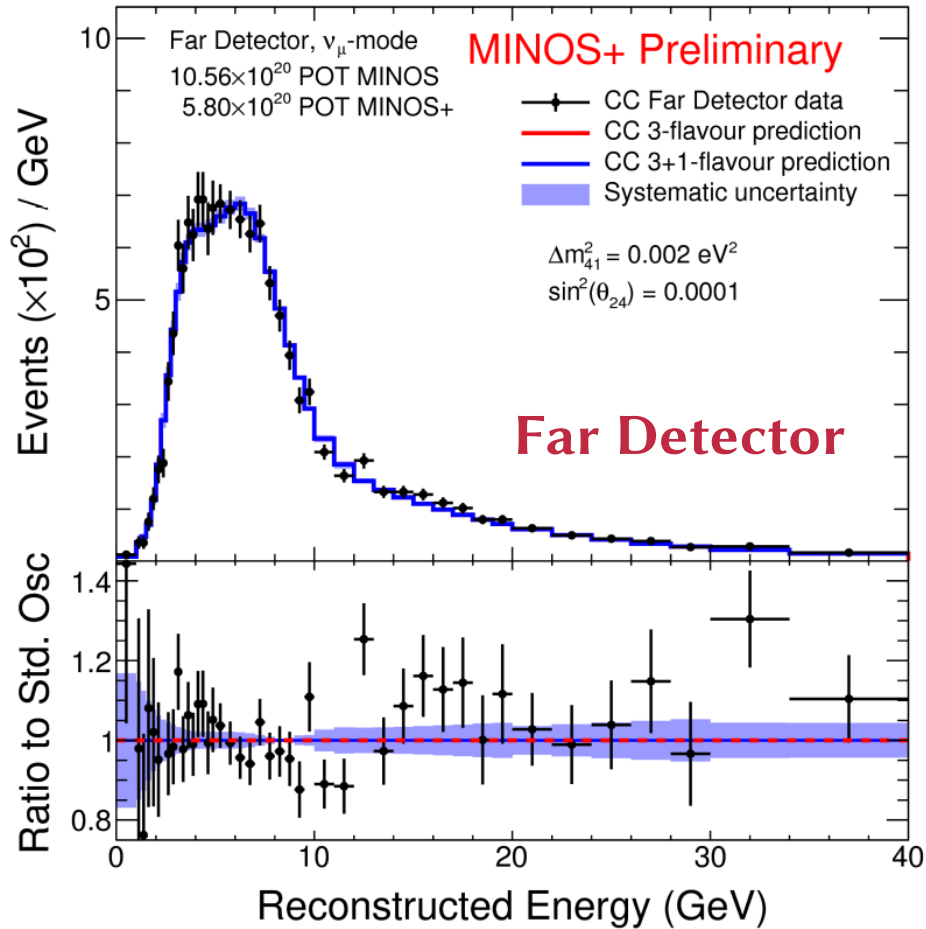
# Analysis Strategy

- To handle oscillations at many scales, analysis treats Near and Far Detectors on equal footing
  - Replace ND beam constraint from three-flavor analysis with flux estimate derived from a method using only hadron production experiment data developed by MINERvA
- Joint fit for  $\nu_\mu$  charged current and neutral current disappearance in Near and Far Detectors
  - Uses full statistical power of Near Detector, unlike the Far-to-Near ratio dominated by FD statistics
- Encode correlations due to systematic uncertainties between energy bins and detectors with a covariance matrix
  - 26 systematic uncertainties considered
- Minimize covariance-matrix-based  $\chi^2$  function to allow for a high degree of cancellation of correlated shape uncertainties:

$$\chi_{CC,NC}^2 = \sum_{i=1}^N \sum_{j=1}^N (x_i - \mu_i) [\mathbf{V}^{-1}]_{ij} (x_j - \mu_j)$$

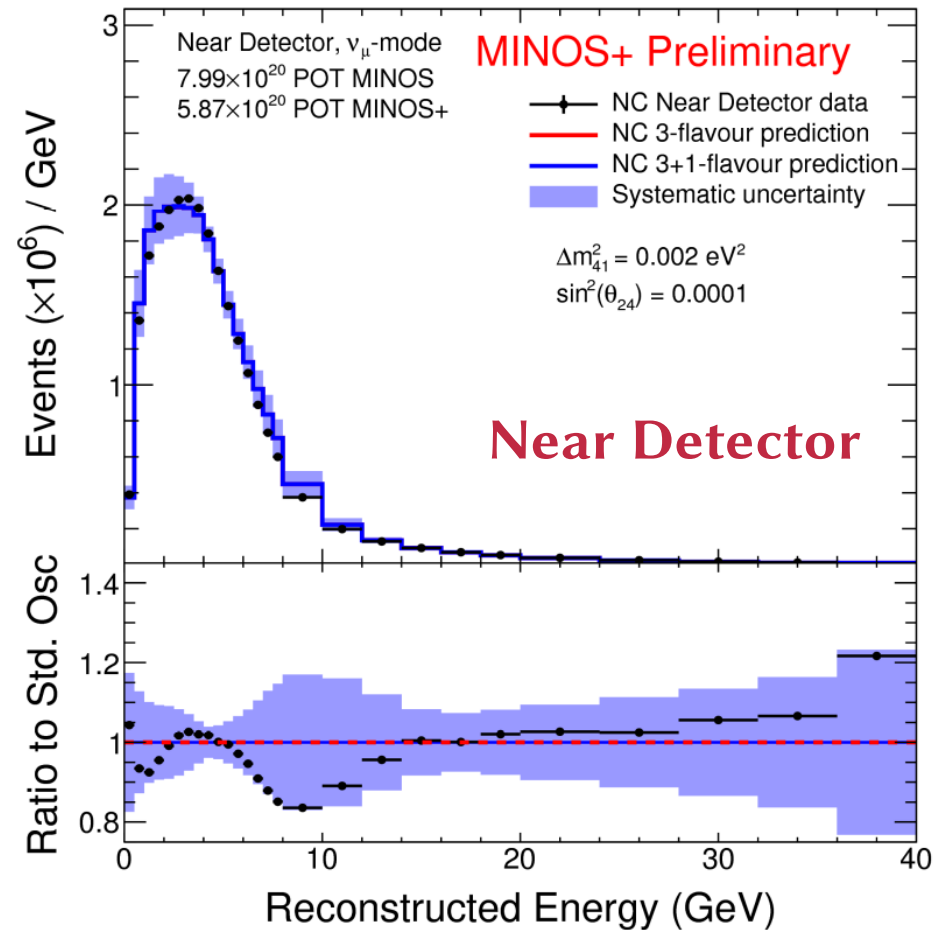
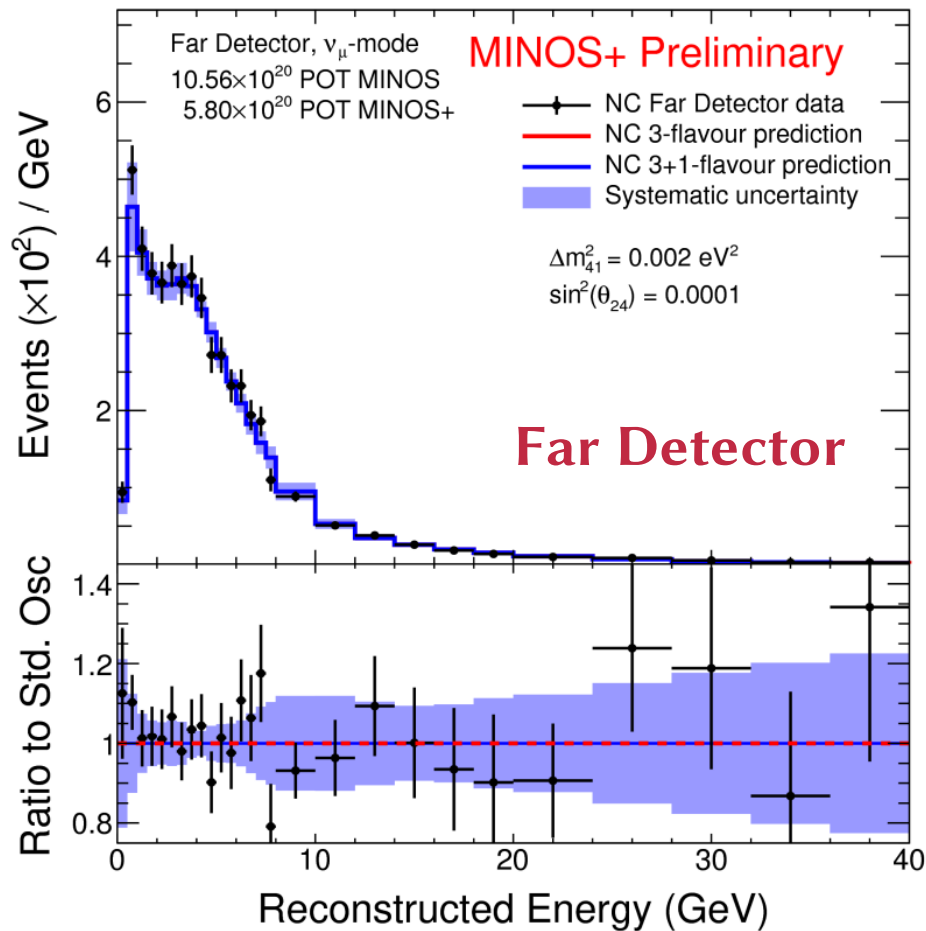


# $\nu_\mu$ CC Sample



- Covariance matrix fits do not include systematics as nuisance parameters
- The error bands and prediction account for off-diagonal elements to indicate the equivalent of post-fit agreement

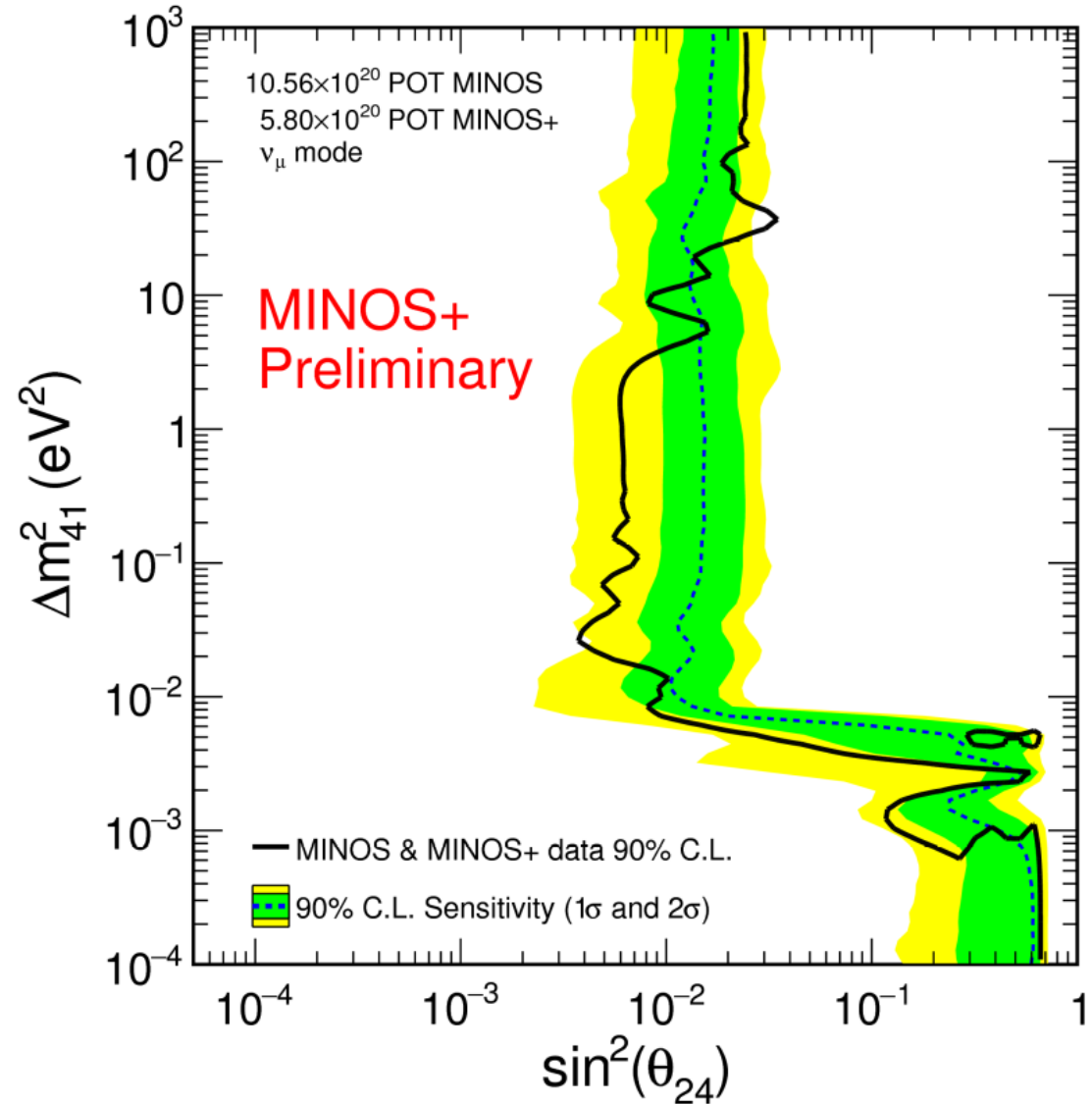
# NC Sample



- Covariance matrix fits do not include systematics as nuisance parameters
- The error bands and prediction account for off-diagonal elements to indicate the equivalent of post-fit agreement

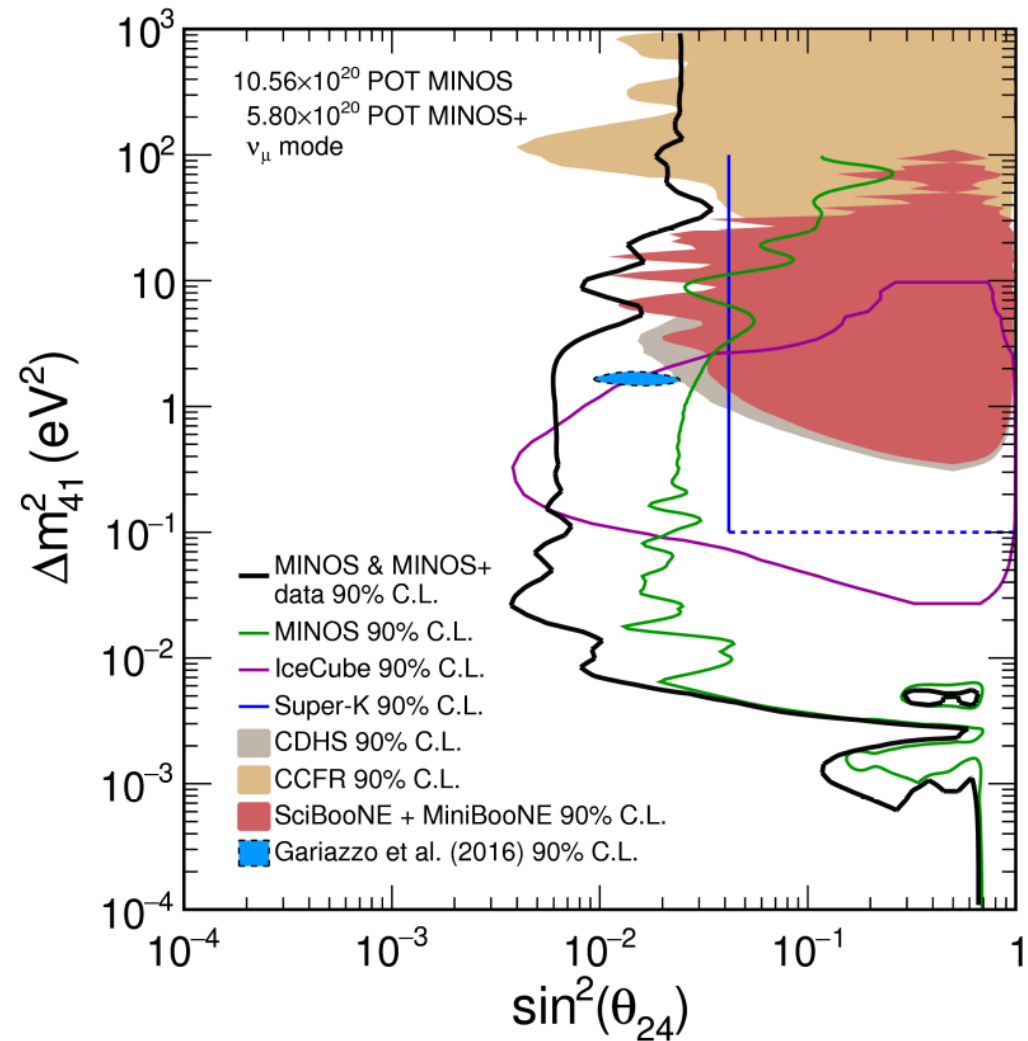
# Sterile Disappearance Limit

- Use full NC and CC samples in both detectors
- Fit for  $\theta_{23}$ ,  $\theta_{24}$ ,  $\theta_{34}$ ,  $\Delta m_{32}^2$ , and  $\Delta m_{41}^2$
- Fix  $\delta_{13}$ ,  $\delta_{14}$ ,  $\delta_{24}$ , and  $\theta_{14}$  to zero
- Median sensitivity from Feldman-Cousins corrected 90% CL contours from pseudo-experiments
- Best fit:
  - $\Delta m_{41}^2 = 2.33 \times 10^{-3} \text{ eV}^2$
  - $\sin^2 \theta_{24} = 1.1 \times 10^{-4}$
  - $\theta_{34} < 8.4 \times 10^{-3}$
  - $\sin^2 2\theta_{23} = 0.92$
  - $\chi^2_{\text{min}}/\text{dof} = 99.3/140$
  - $\chi^2(4\nu) - \chi^2(3\nu) = 0.01$



# Sterile Disappearance Limit

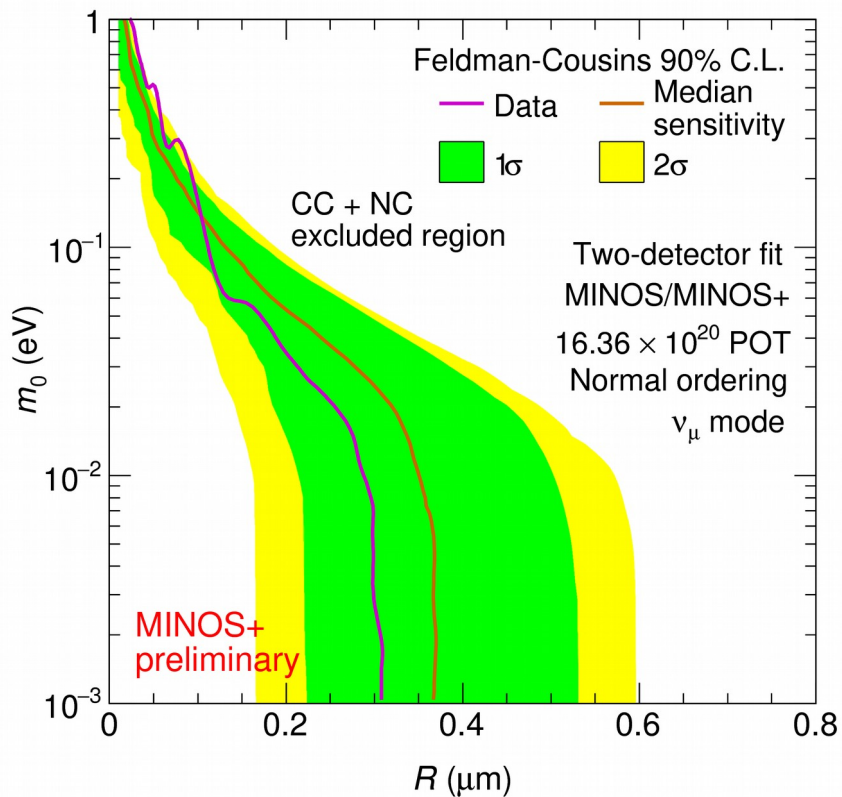
- MINOS and MINOS+ 90% C.L. exclusion limit over 7 orders of magnitude in  $\Delta m_{41}^2$
- Improvement at large  $\Delta m_{41}^2$  over previous MINOS result due to:
  - Near Detector statistical power
  - Sensitivity to normalization shifts
  - Improved binning around atmospheric dip in Far Detector
- Increased tension with global best fit
  - Displayed here with  $|U_{e4}|^2 = 0.023$
- Final year of data is still to be analyzed
- Poster: Monday #140, A. Aurisano
- Posted to arXiv:1710.06488 and submitted to PRL
  - See arXiv paper and ancillary materials for more details



<sup>^</sup>S. Gariazzo, C. Giunti, M. Laveder, Y.F. Li, E.M. Zavanin, J.Phys.G43, 033001 (2016)

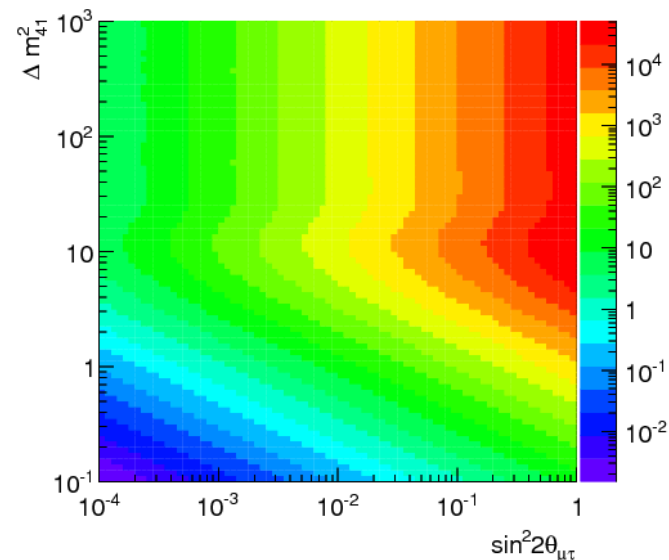
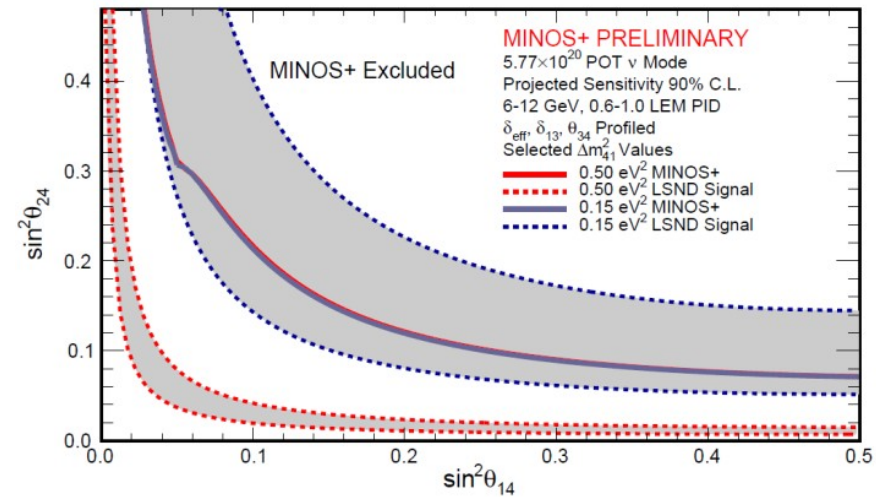
# Additional Beyond the Standard Model Searches

**New:** Large Extra Dimensions  
 Poster: Wednesday #52, S. De Rijck



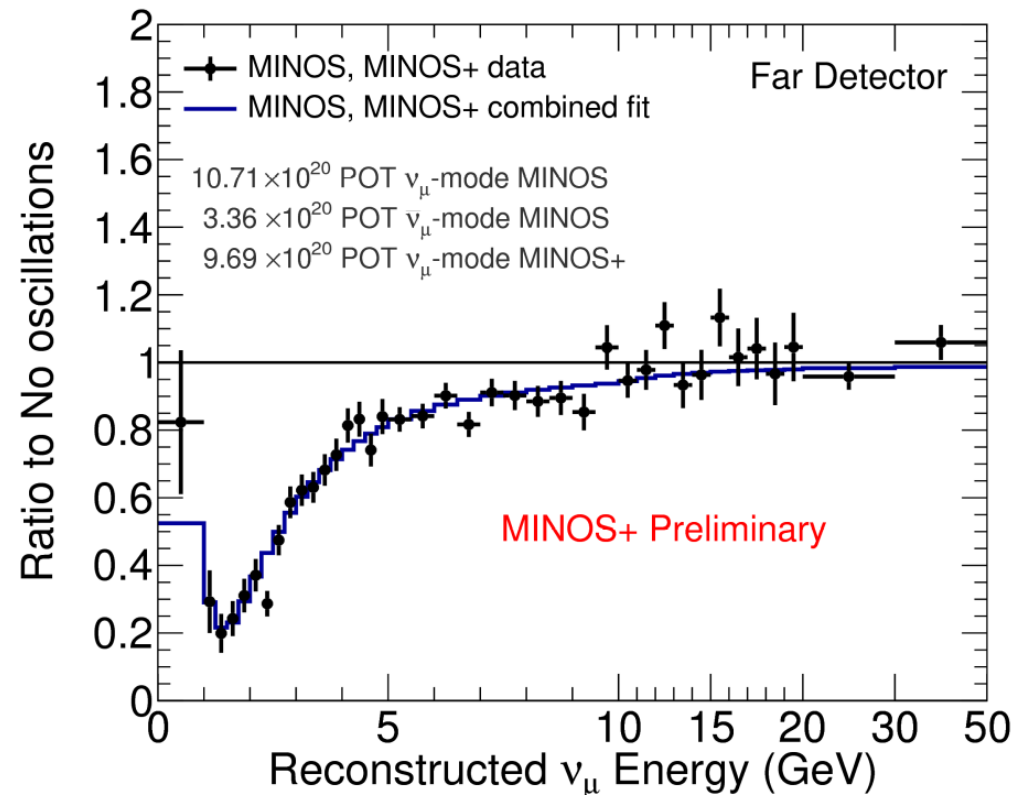
**In progress:** Sterile-driven  $\nu_\tau$  appearance at the MINOS Near Detector  
 Poster: Monday #143, K. Grzelak

**In progress:** Sterile-driven  $\nu_e$  appearance  
 Poster: Wednesday #62, G. Pawolski



# Conclusions

- MINOS/MINOS+ has improved its standard oscillation measurement using the full sample of beam and atmospheric neutrinos
  - Results are competitive with running experiments
  - Measured  $\Delta m^2_{32}$  to 3.5%
- Using a new two-detector fit technique, MINOS+ sets leading limits on sterile neutrino mixing, especially in the critical 1 – 10 eV<sup>2</sup> region



- Over 11 years of running, MINOS/MINOS+ has collected a large dataset over a broad energy range
- The high resolution mapping of the first atmospheric maximum provides strong support for the three-flavor paradigm

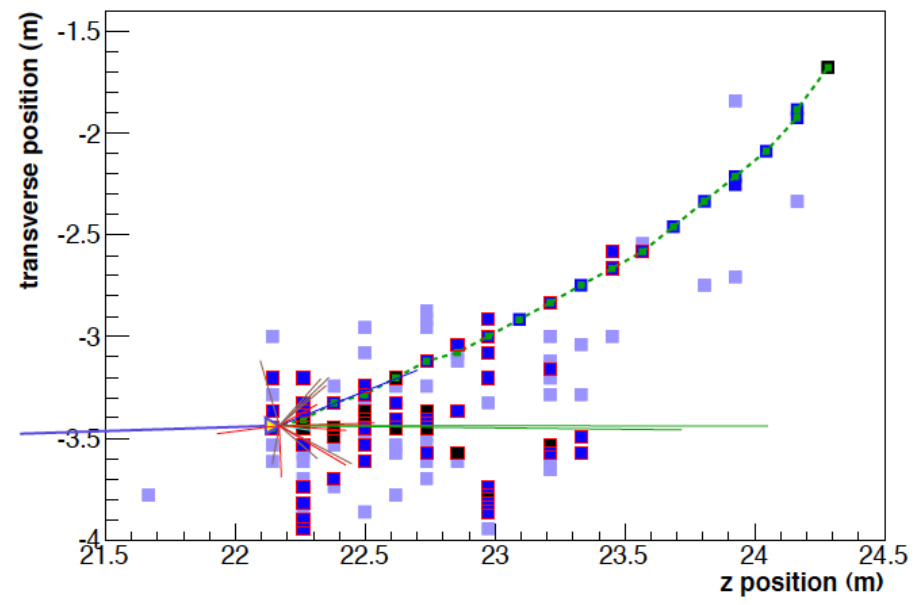
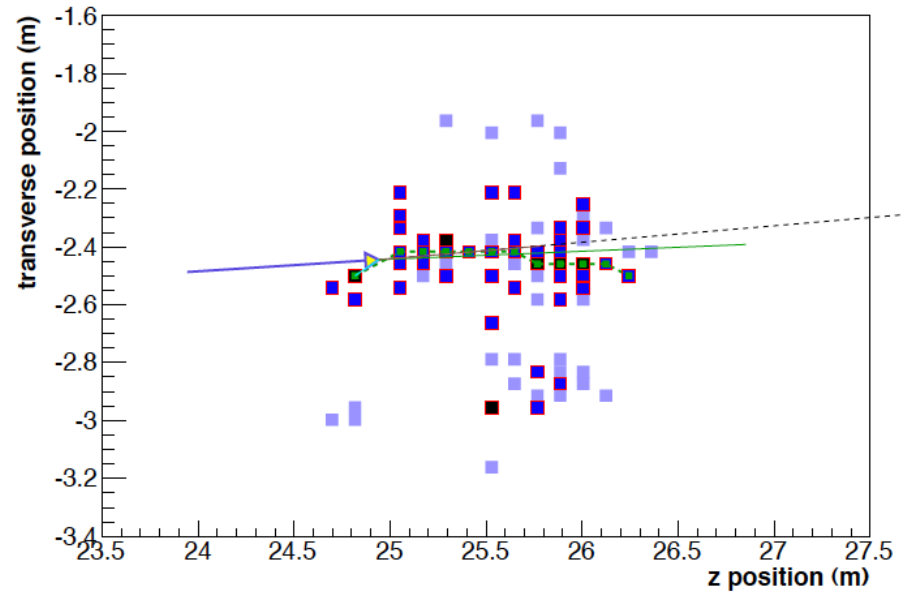
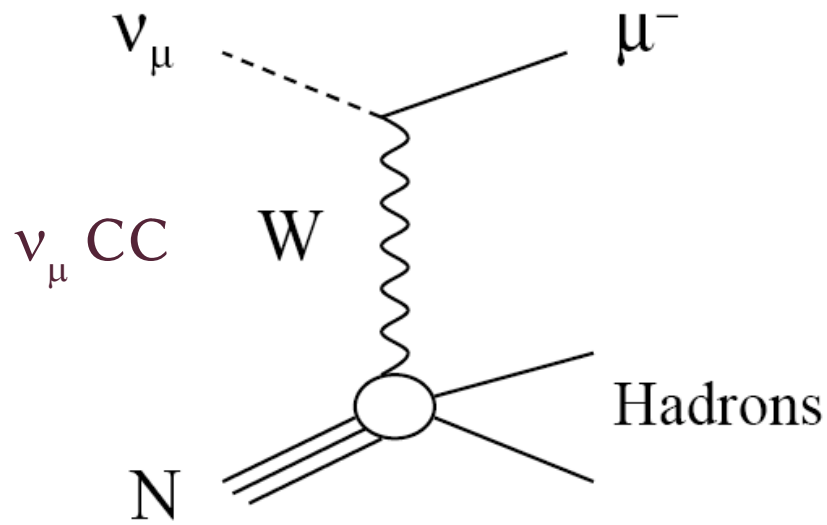
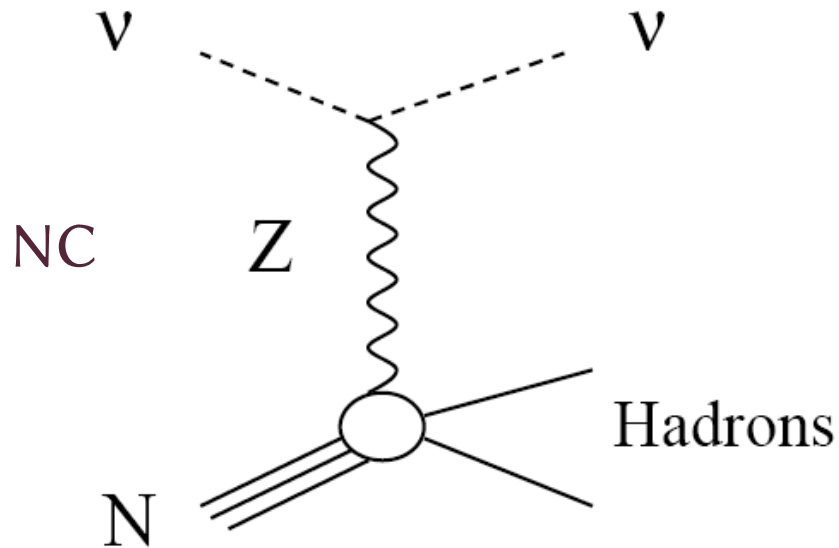
# Thank you!





# Backup Slides

# Event Topologies



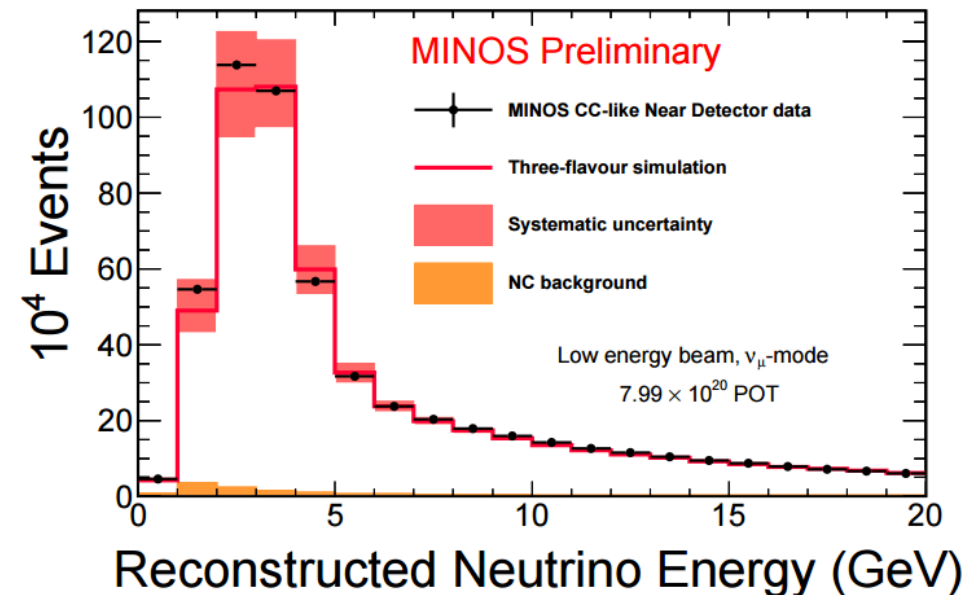
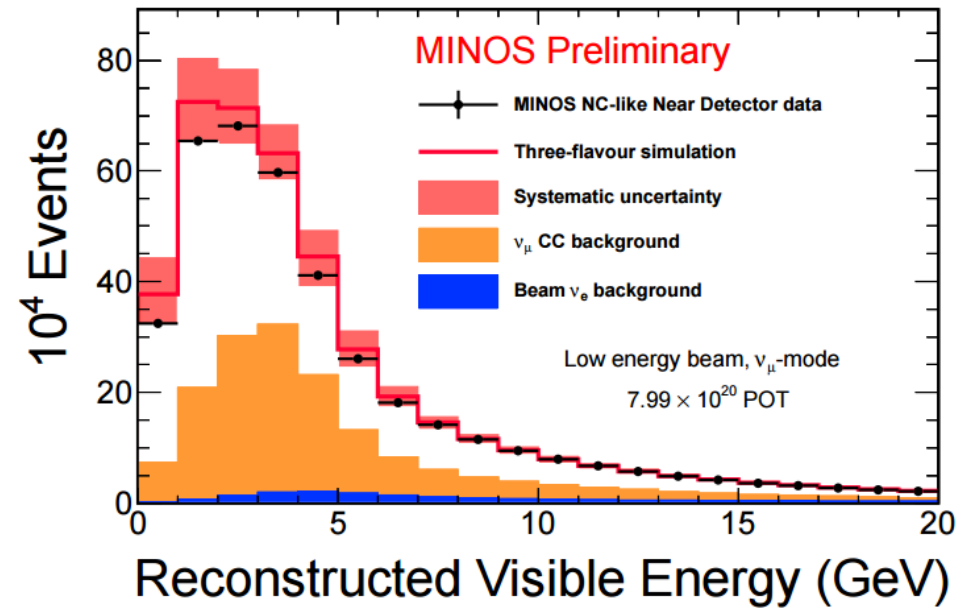
# Selecting NC and $\nu_\mu$ CC Samples

## Neutral current selection

- Selection based on topological quantities
  - Require compact events
  - No long tracks extending out of the hadronic shower
- 89% efficiency and 61% purity at FD
- Primary background is inelastic  $\nu_\mu$  CC
- 97% of  $\nu_e$  CC pass selection

## $\nu_\mu$ charged current selection

- Use 4 variable kNN designed to distinguish muon from pion tracks
- Applied to events failing NC selection
- 86% efficiency, 99% purity at the FD



# Atmospheric data and fit

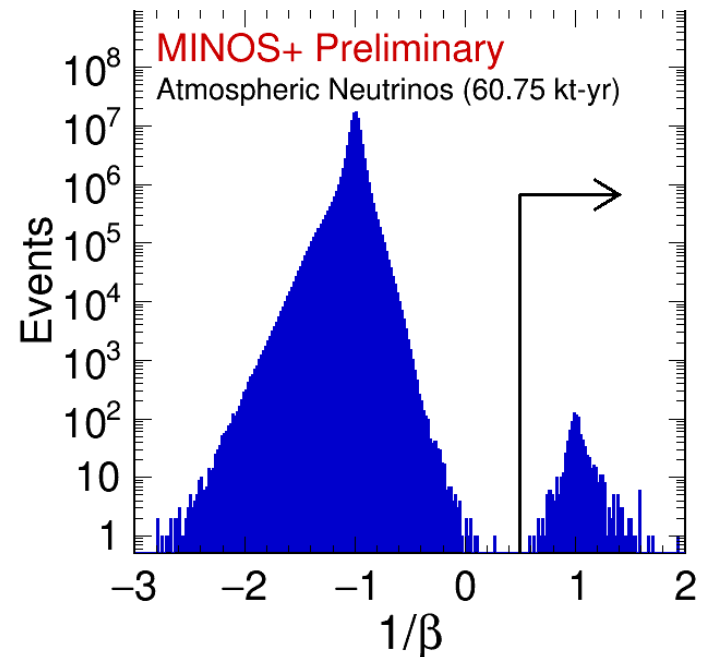
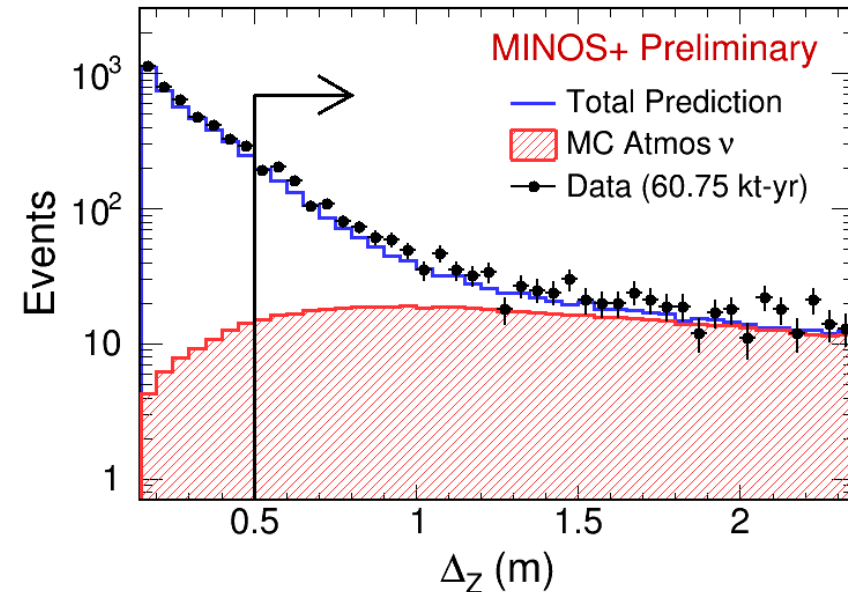
◆ Two techniques used to identify atmospheric neutrinos in the Far Detector.

## 1) Contained-vertex events:

- Apply series of containment requirements on reconstructed tracks and showers to reduce cosmic-ray backgrounds.
- Far Detector is equipped with a scintillator veto shield, which tags cosmic-ray muons with 96% efficiency.

## 2) Upward and horizontal muons:

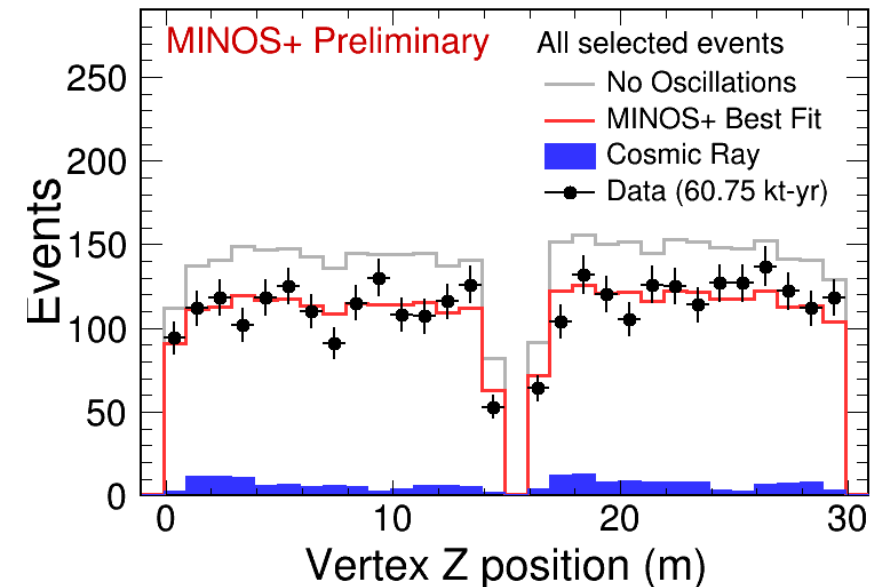
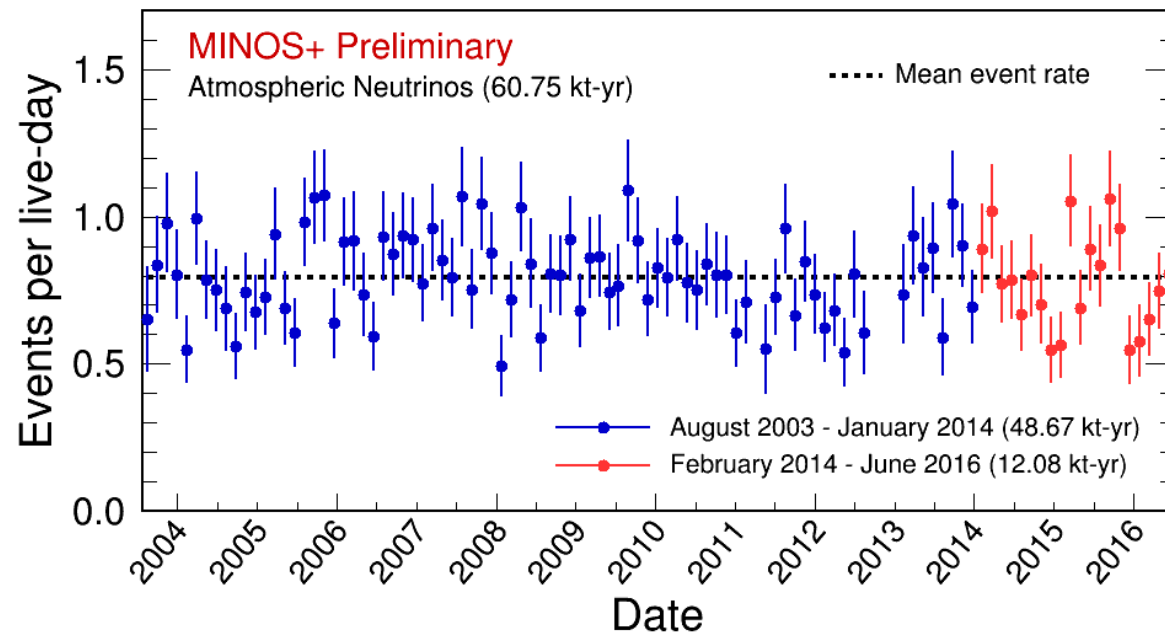
- Far Detector has a timing resolution of 2.5ns.
- Can identify neutrino-induced upward and horizontal muons using timing information.
- Soudan mine has a uniform rock overburden, enabling events to be identified above the horizon ( $\cos\theta_{zen} < 0.05$ ).



# Atmospheric data and fit

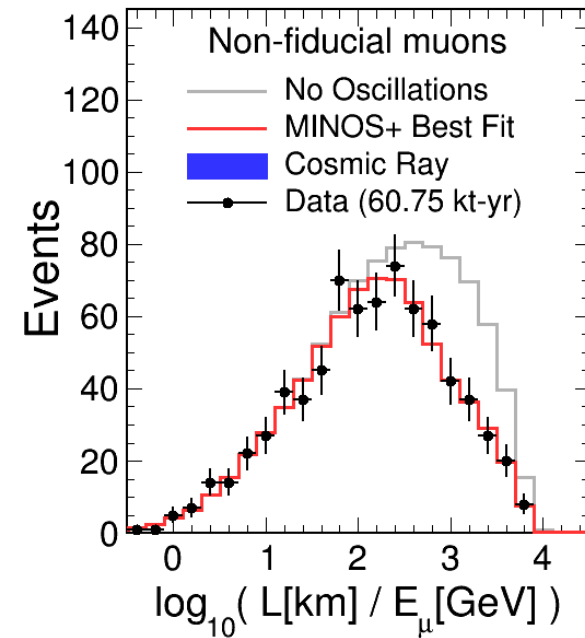
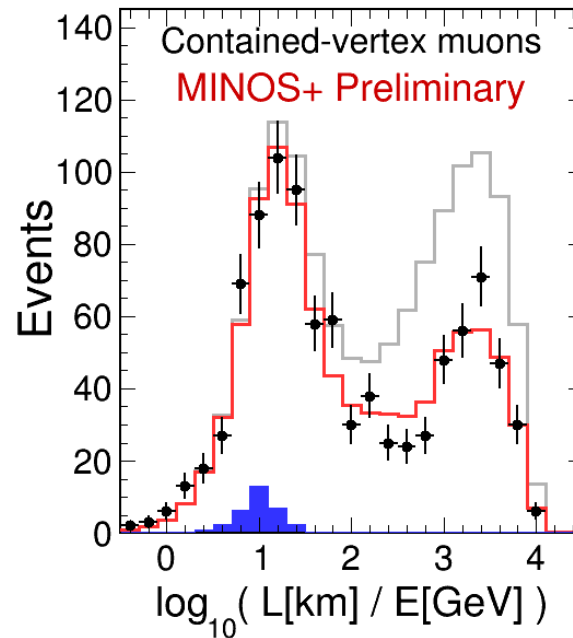
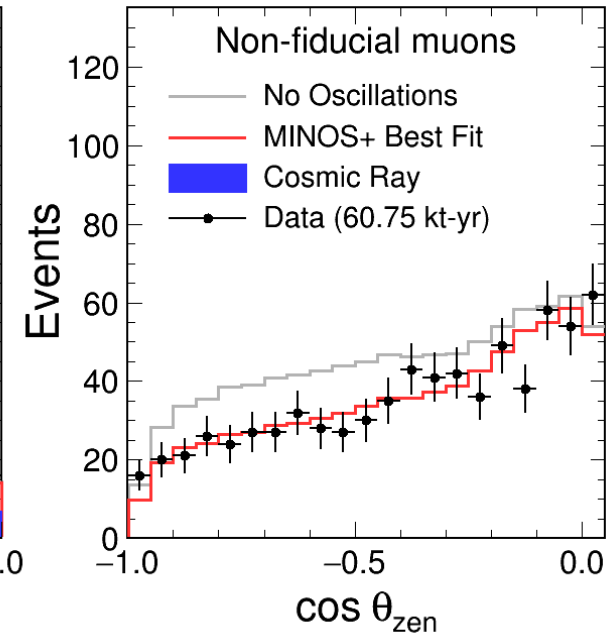
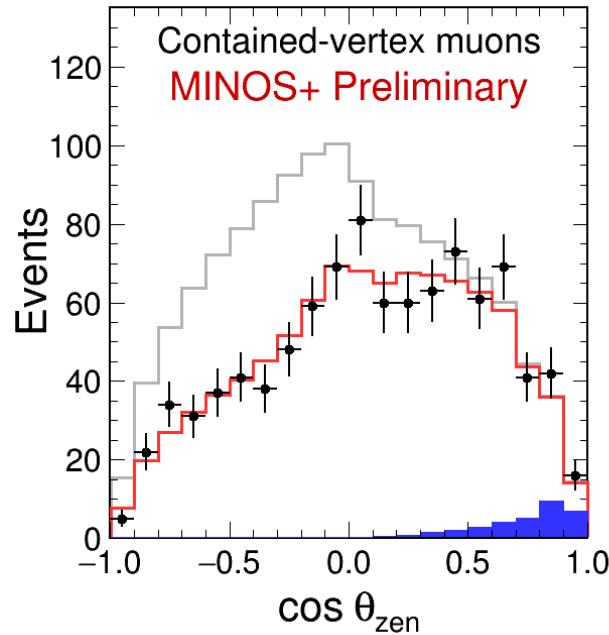
◆ Selected atmospheric neutrinos are categorised based on event topology:

Event Classification	Data	No oscillations	Best fit
Contained-vertex showers	1123	1248	1134
Contained-vertex muons	1399	1923	1379
Non-fiducial muons	736	924	737
<b>Total events</b>	<b>3258</b>	<b>4095</b>	<b>3250</b>



# Atmospheric data and fit

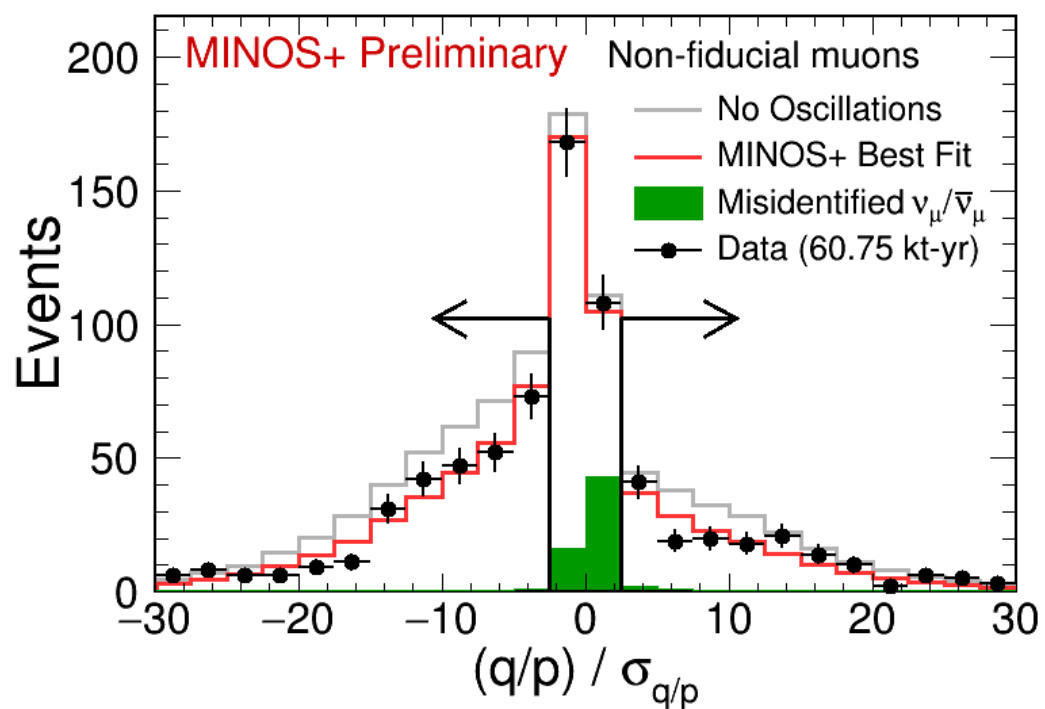
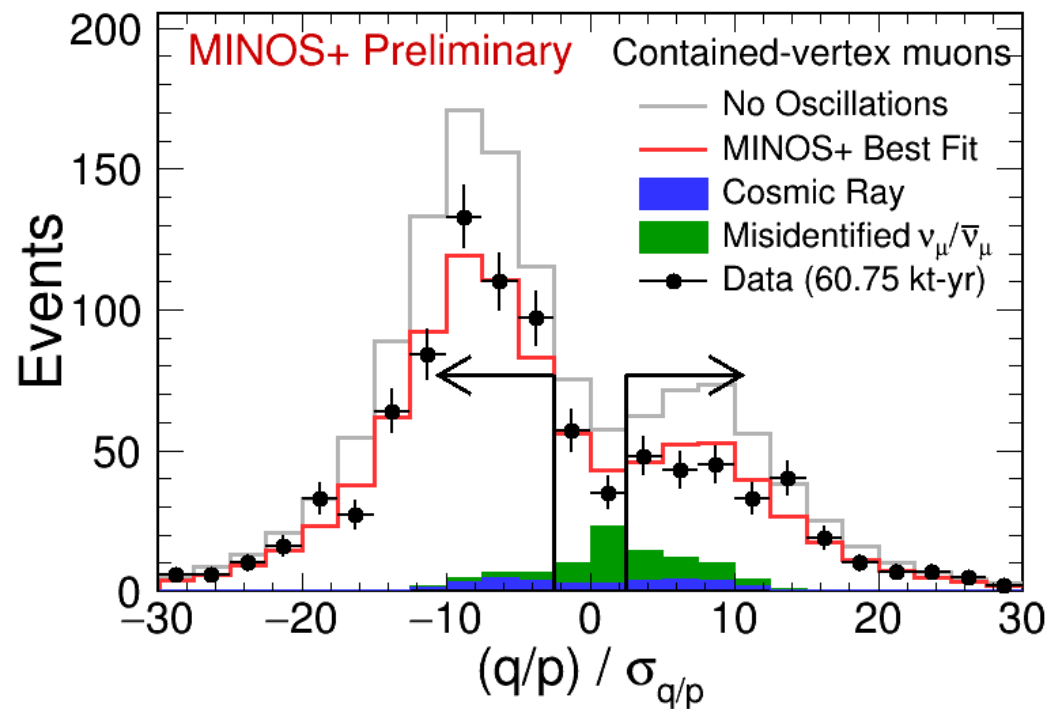
- ◆ Timing information is used to select “high resolution” sample of events with well-measured muon propagation direction.
  - 950 contained-vertex muons and all 736 non-fiducial muons pass this selection.
  - Can reconstruct zenith angle and L/E for these events.
- ◆ Plots on right show zenith angle and L/E distributions of selected high-resolution events.
  - Clear oscillation signature!



# Atmospheric data and fit

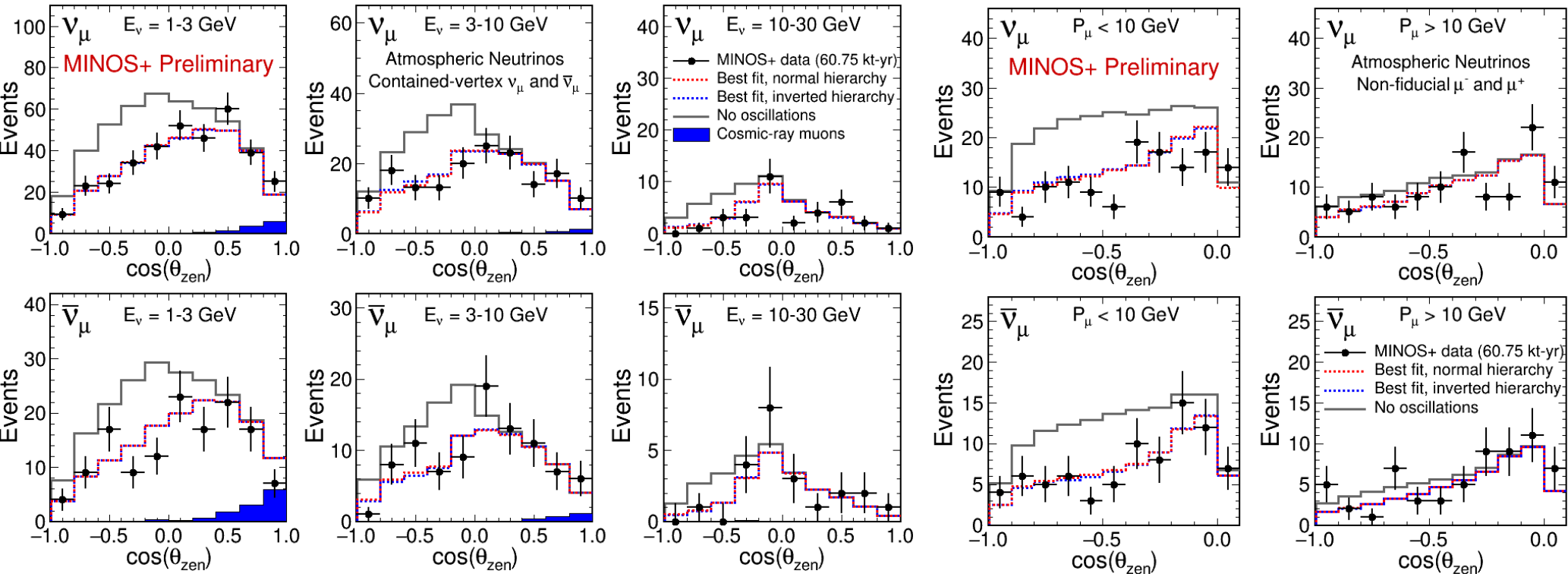
- ◆ Neutrinos and antineutrinos are separated based on muon charge sign, which is reconstructed using curvature of final-state muon tracks.

	Selected $\nu_\mu$	Selected anti- $\nu_\mu$	Total
Contained-vertex muons	574	255	829
Non-fiducial muons	239	143	382
Total	813	398	1211



◆ In the MINOS+ oscillation analysis, atmospheric neutrino data are binned as a function of reconstructed energy and zenith angle.

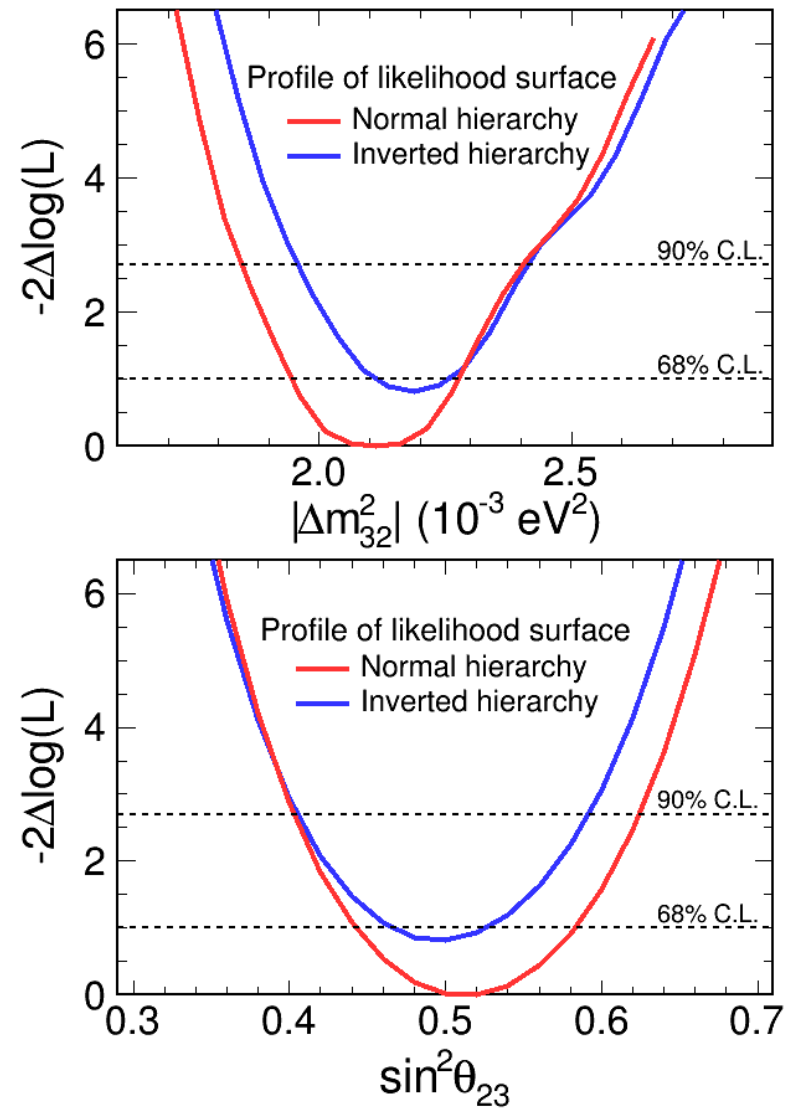
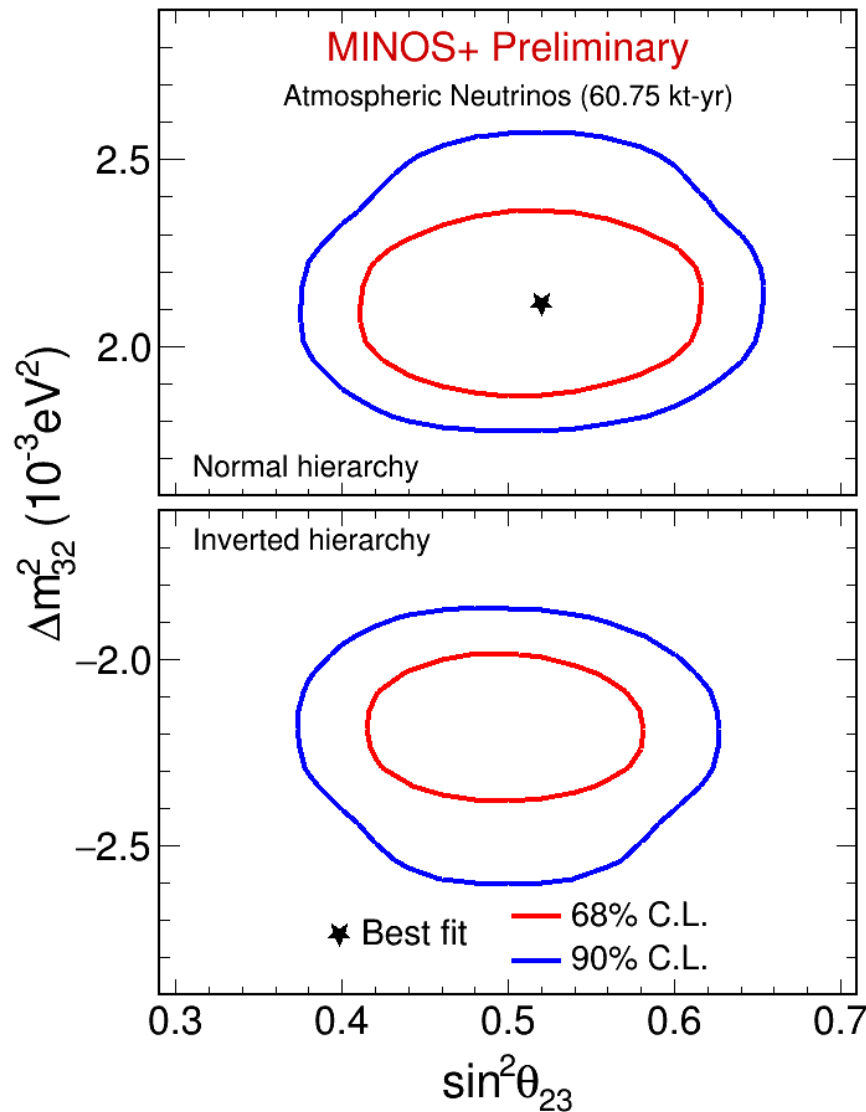
- Sensitivity to  $\Delta m^2_{32}$  and  $\sin^2\theta_{23}$  is complementary with accelerator data.
- Additional limited sensitivity to mass hierarchy in MSW resonance region.



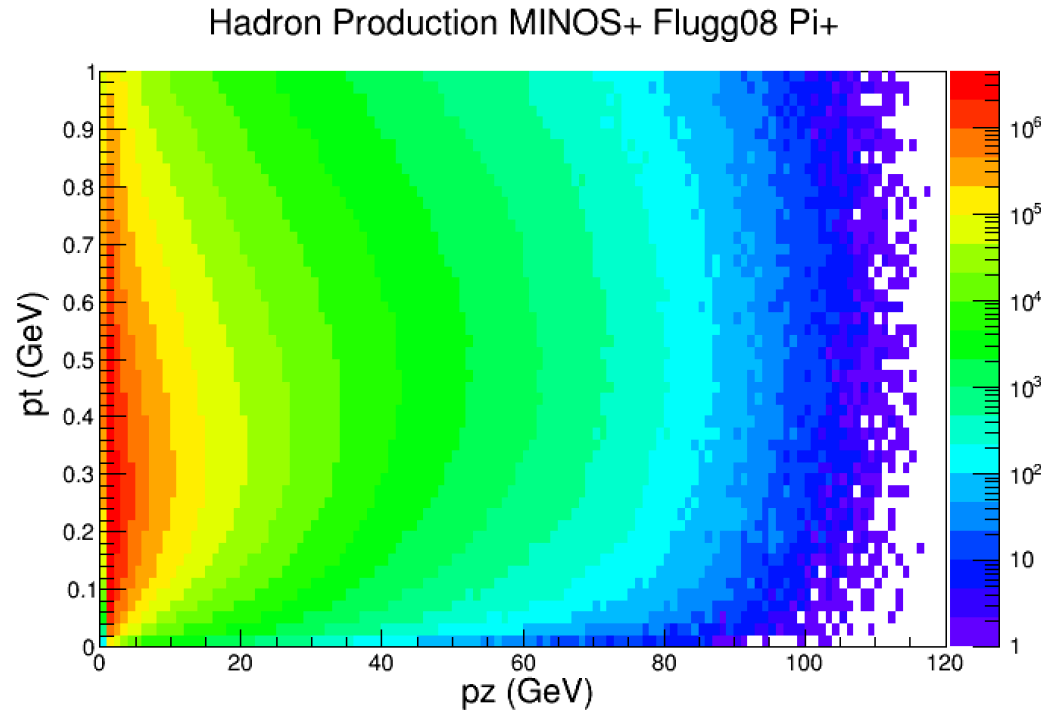


# Atmospheric data and fit

- ◆ Results of oscillation fit to MINOS/MINOS+ atmospheric neutrino data:

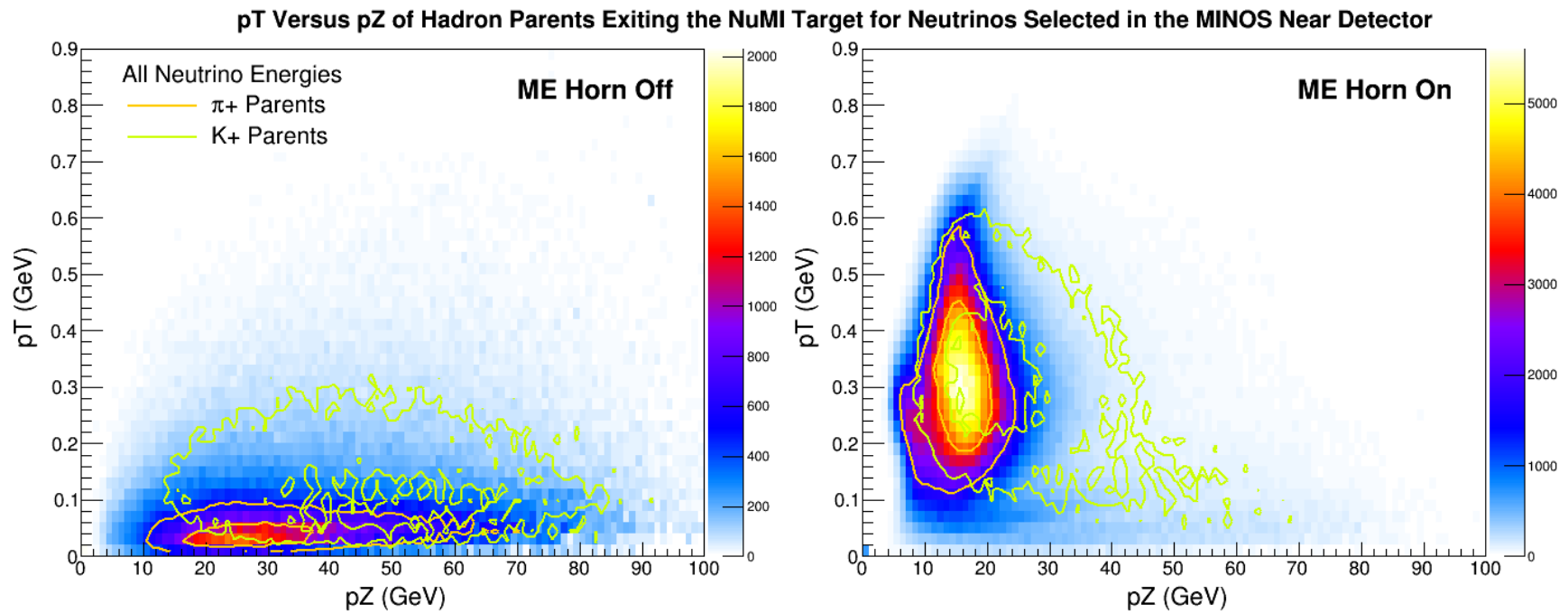


# Flux Estimation: Hadron Production

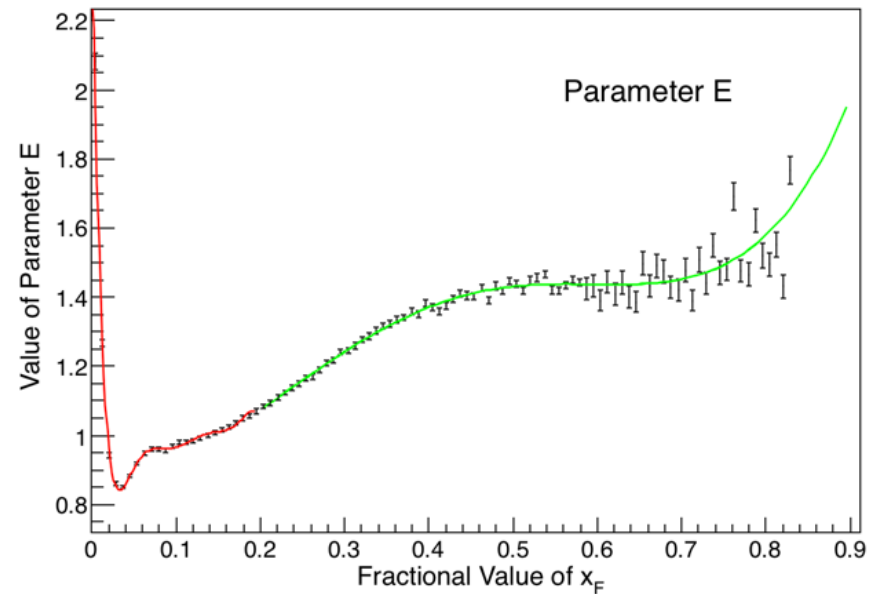
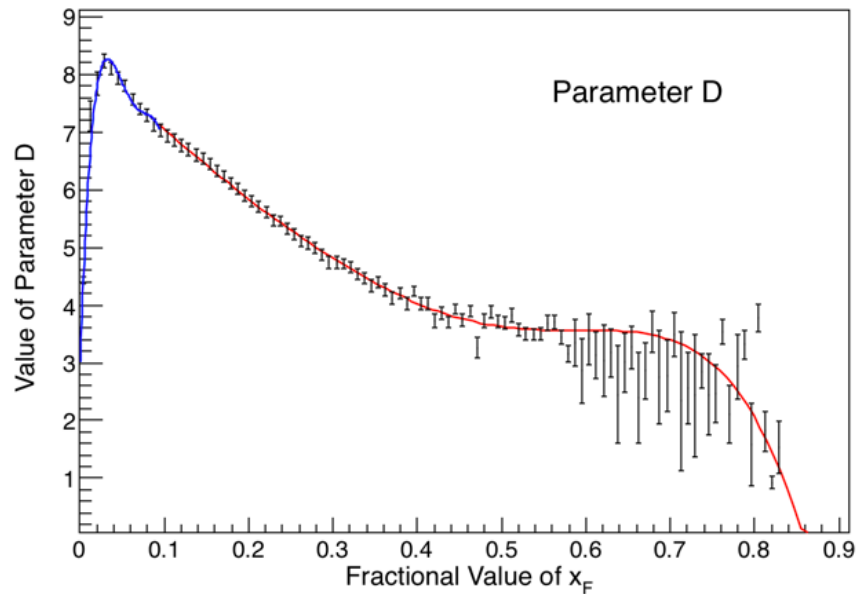
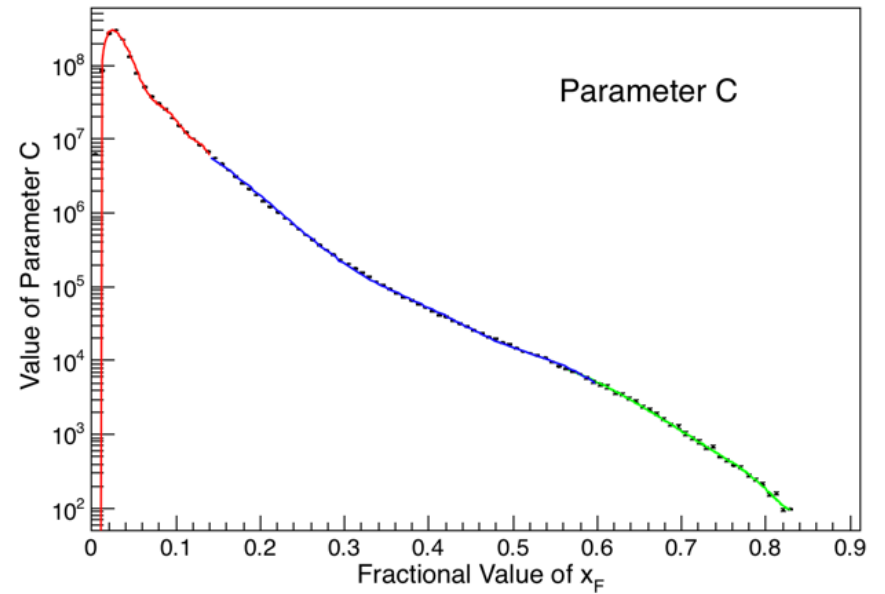
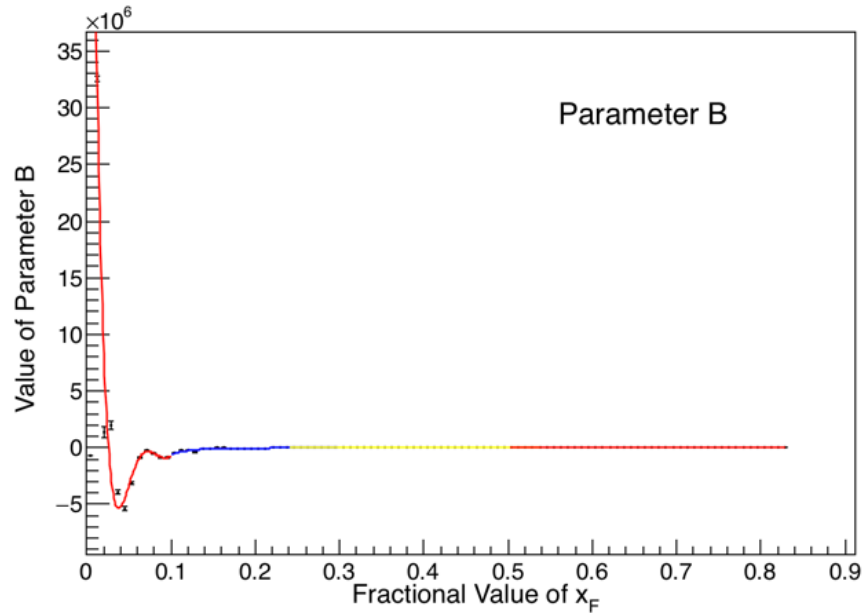


$$\frac{d^2 N}{dx_F dp_T} = [B(x_F)p_T + C(x_F)p_T^2]e^{-D(x_F)p_T^{E(x_F)}}$$

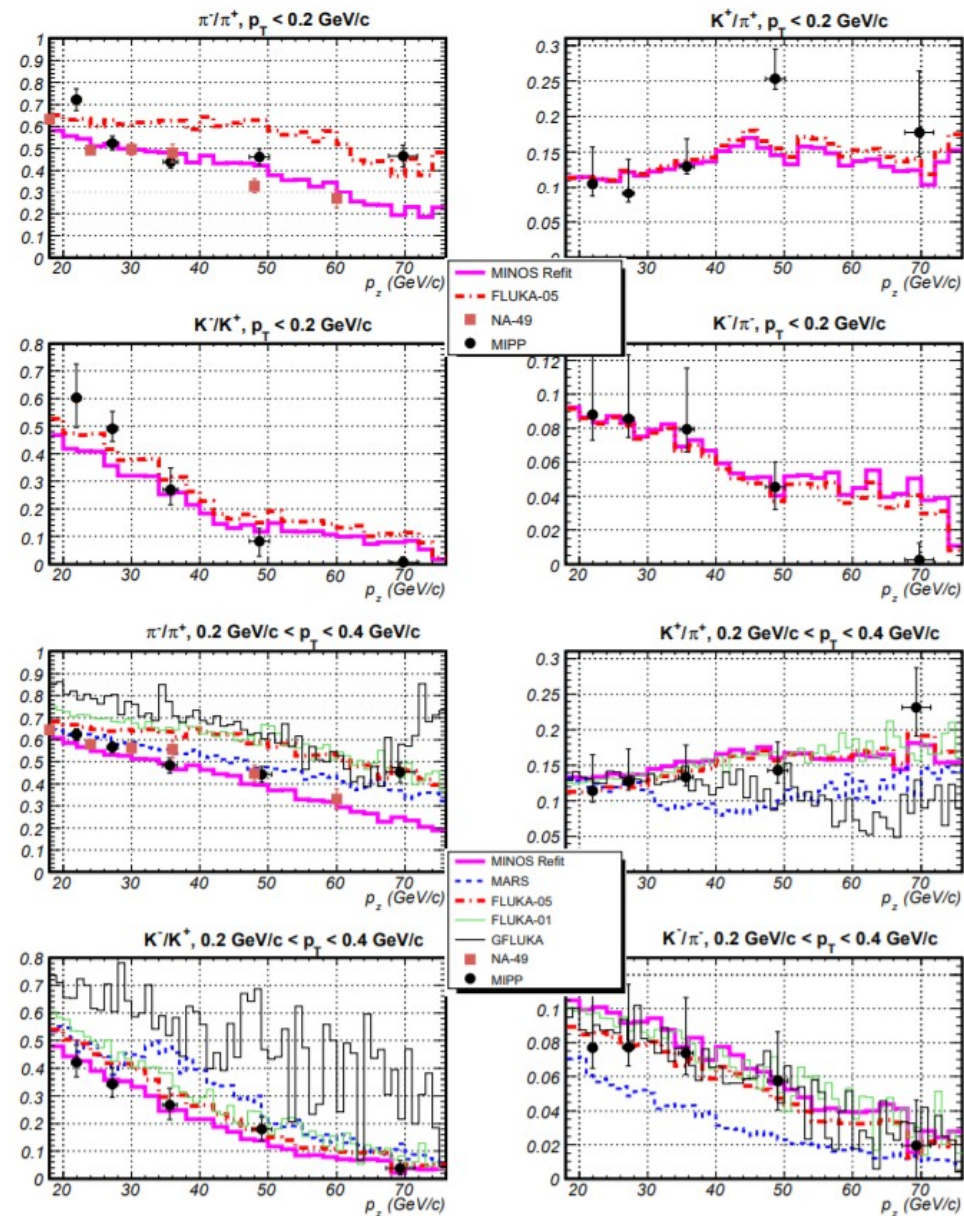
# Flux Estimation: Hadron Production



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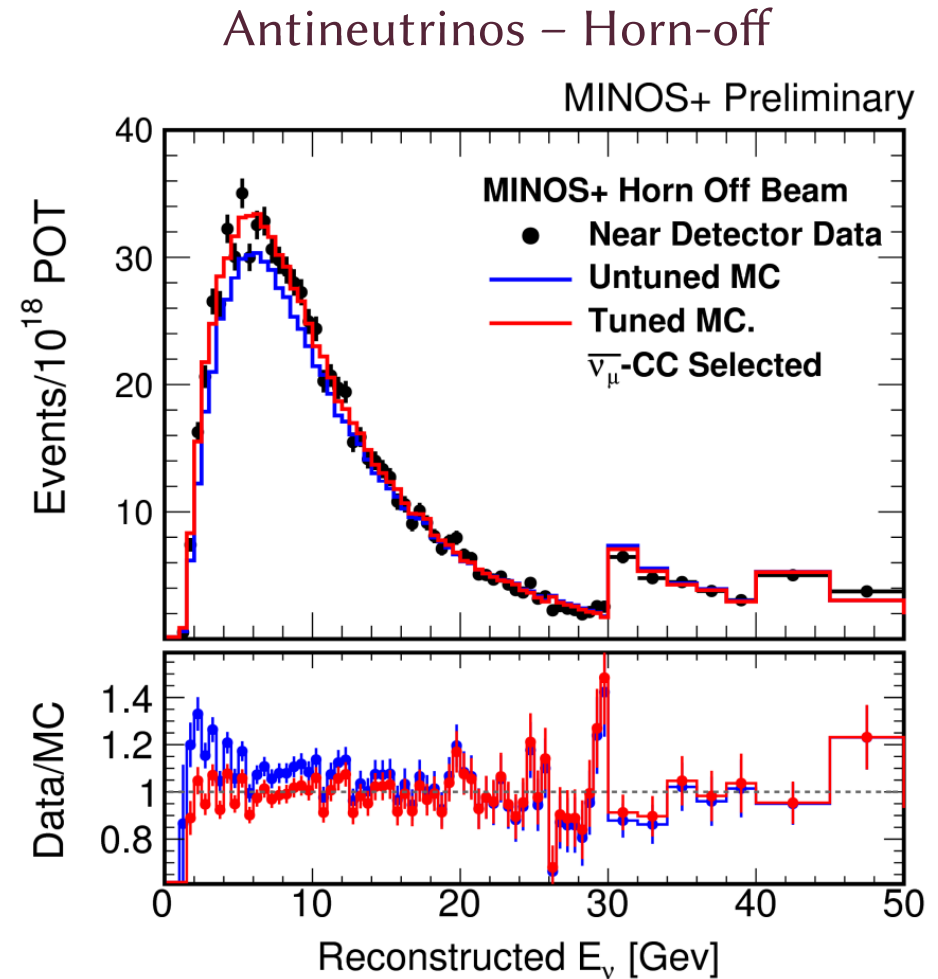
# Flux Estimation: Hadron Production



A. Lebedev, Ph.D. thesis, Harvard University (2007)

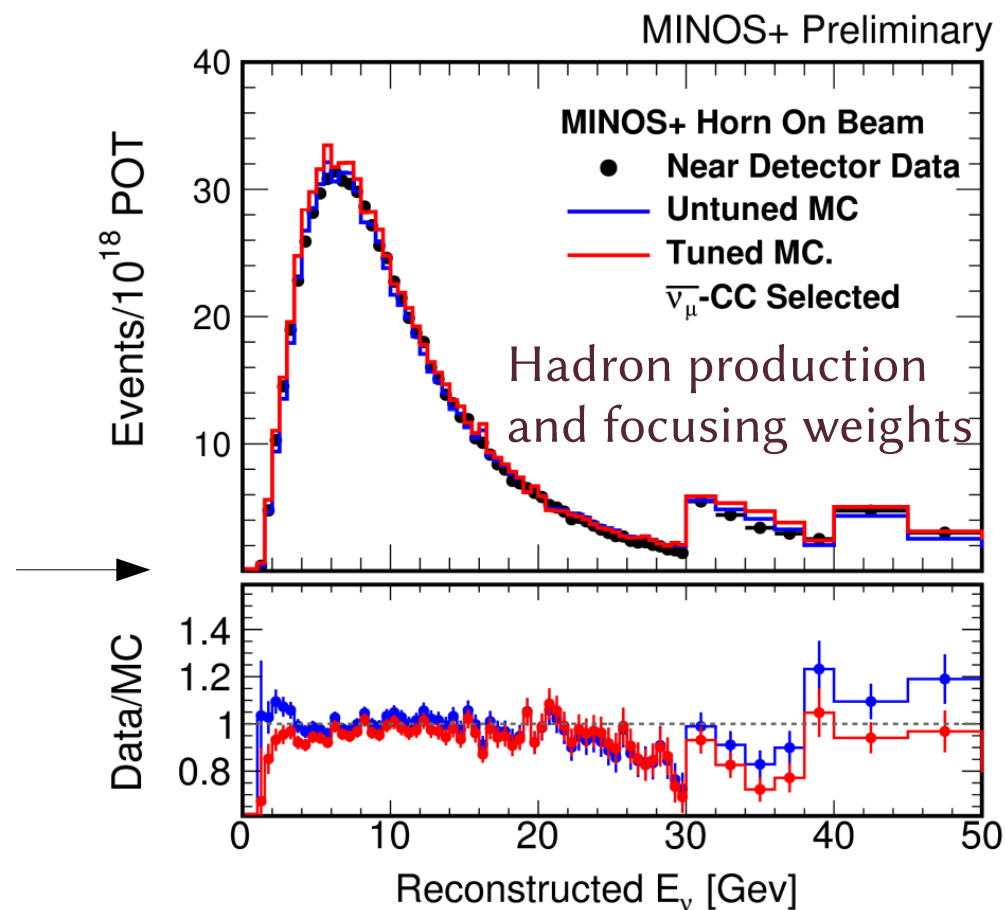
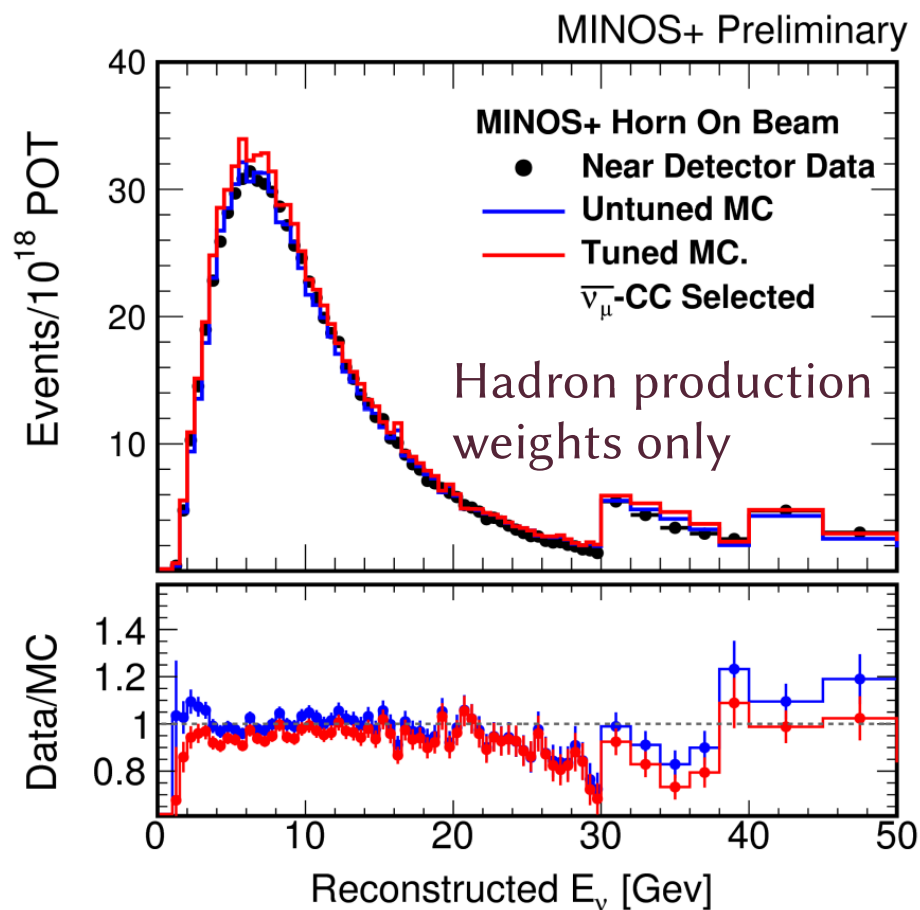
# Beam Flux Estimation: Hadron Production

- ND data provides a powerful constraint on beam flux
- Use samples with focusing horns off to isolate hadron production
- Fit empirical pion hadron production parameters for neutrinos and antineutrinos
- Transfer weights to kaons using measured pion/kaon ratios

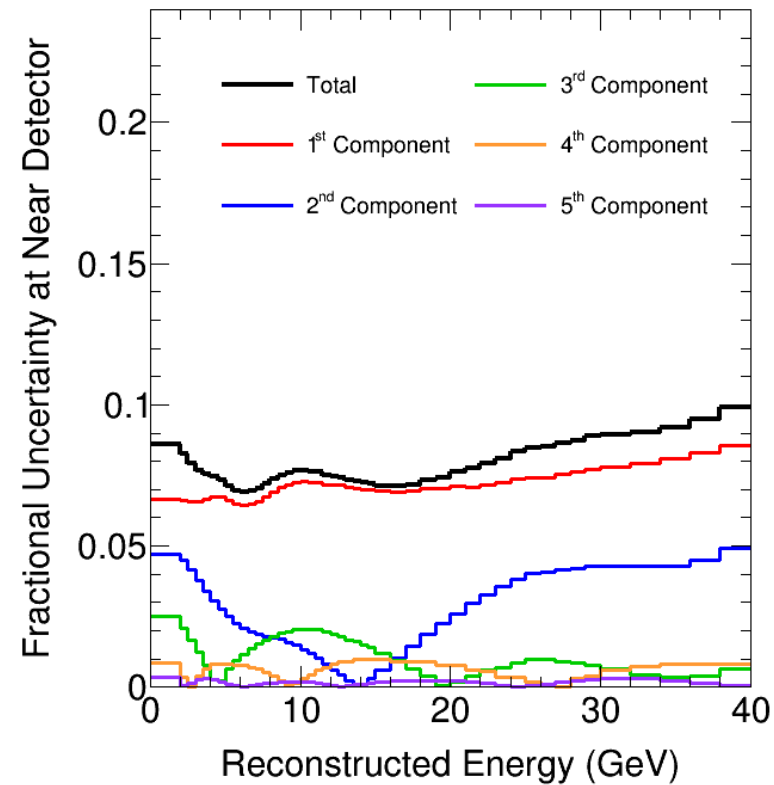
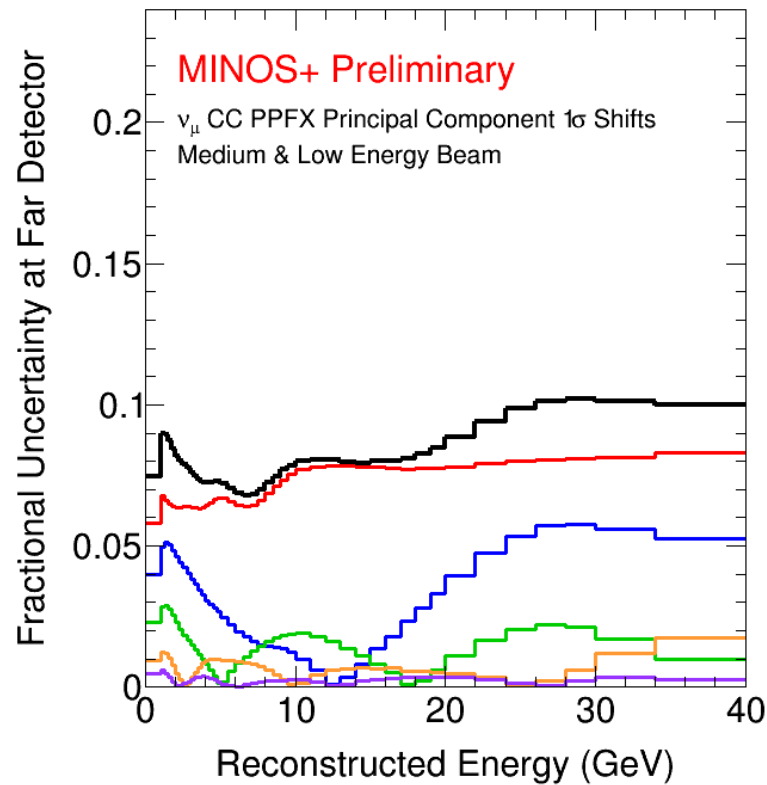


# Beam Flux Estimation: Focusing

- Apply hadron production weights to sample with focusing on
- Fit for focusing effects
- Poster: Wed. # 89, A. Holin

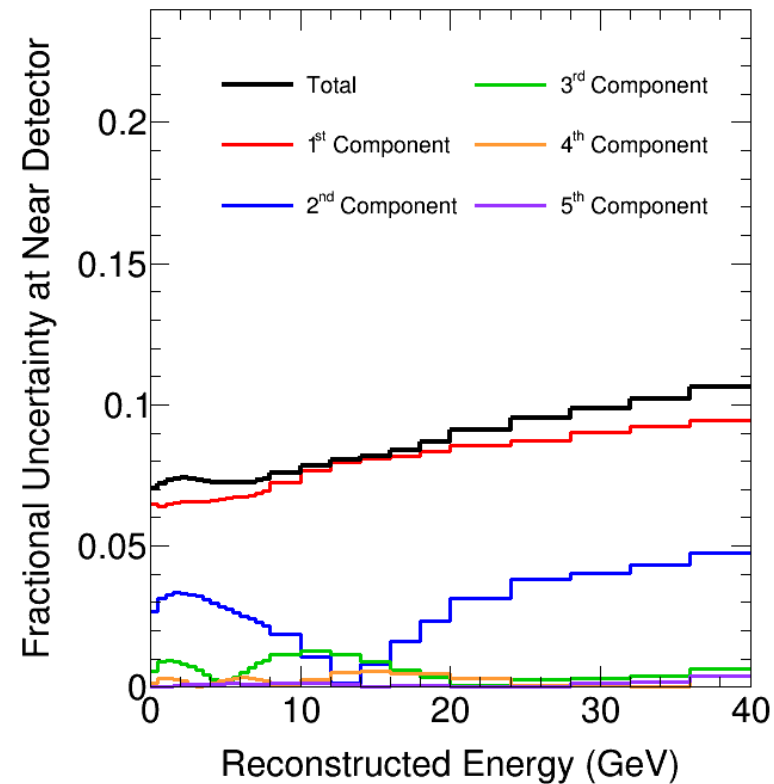
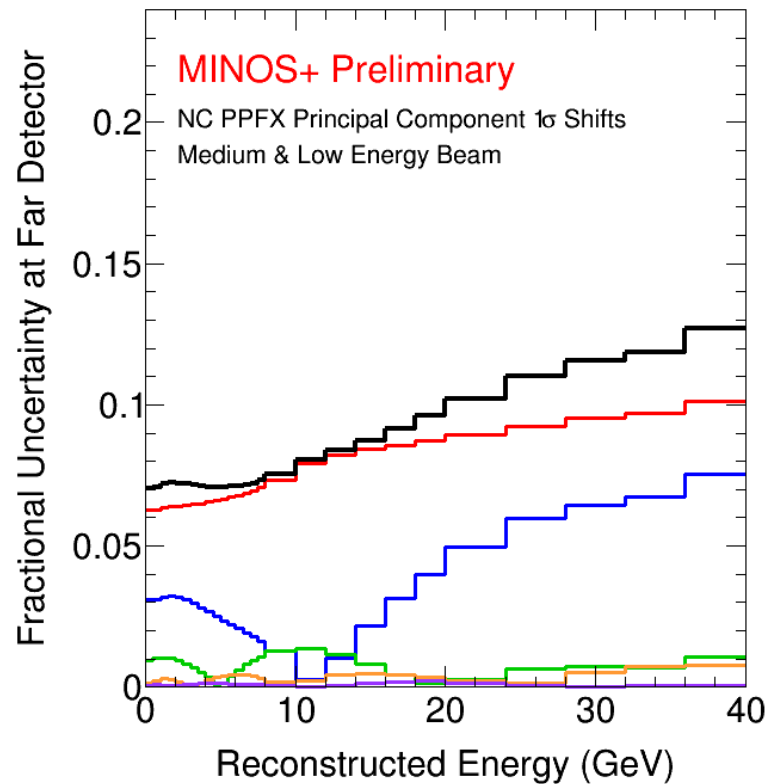


# Systematics: Hadron Production - CC

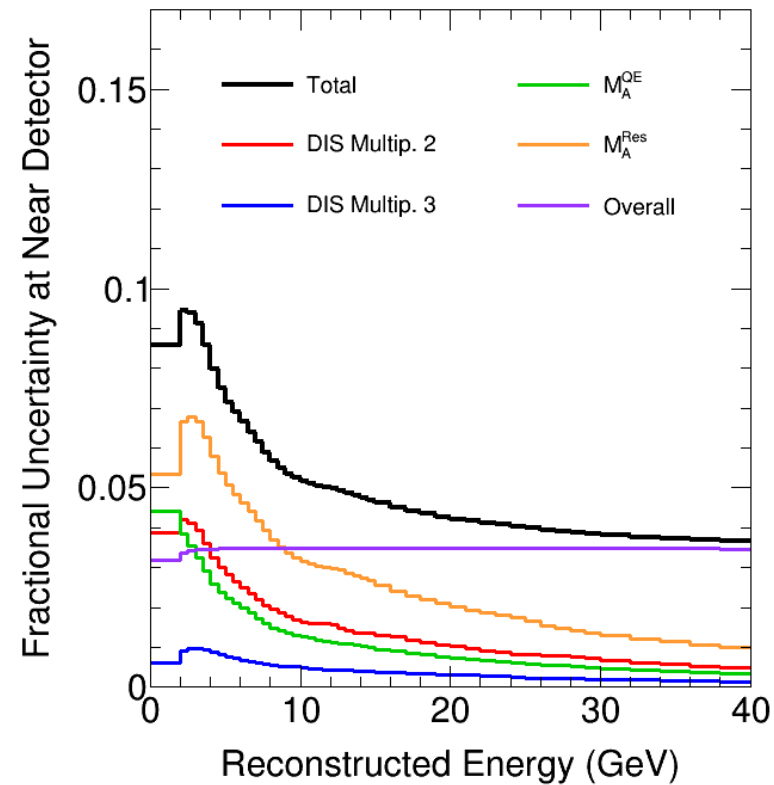
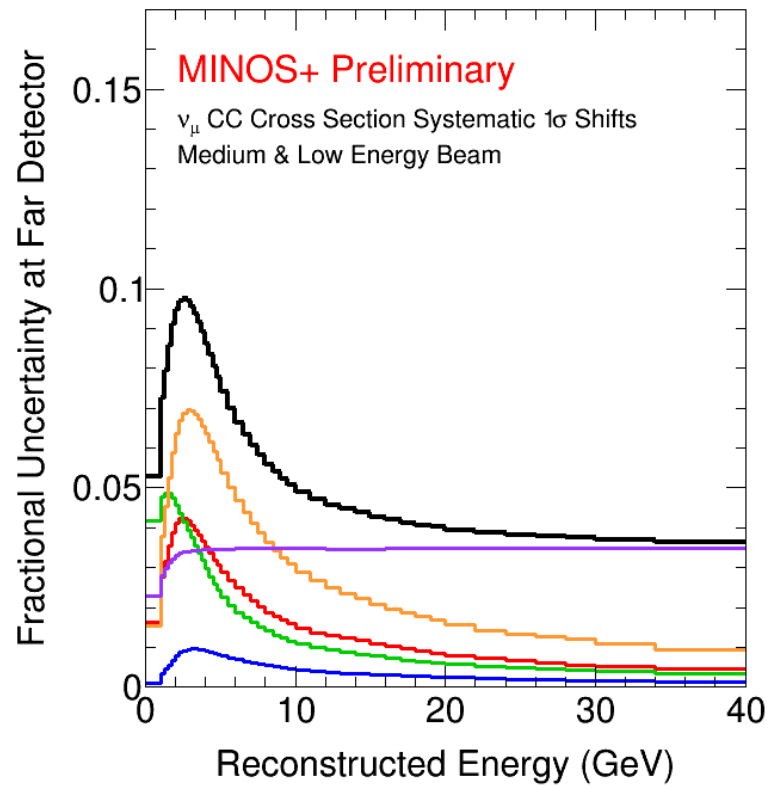




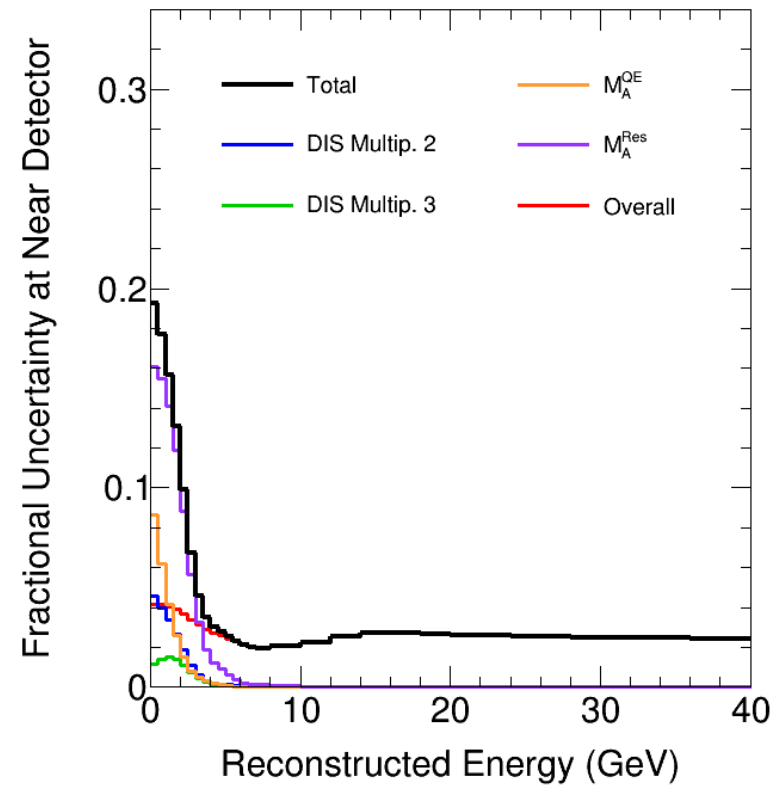
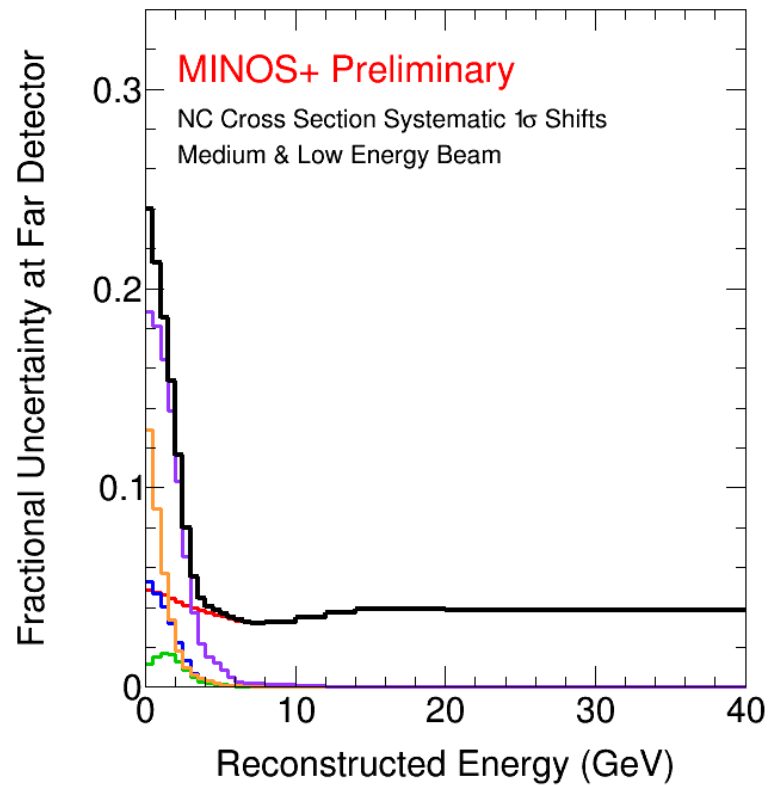
# Systematics: Hadron Production - NC



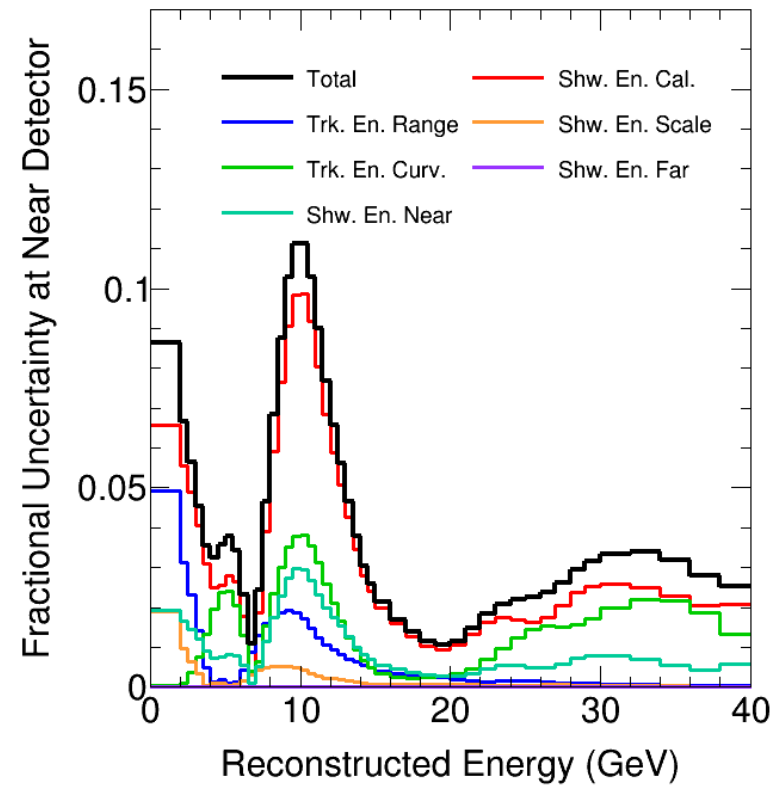
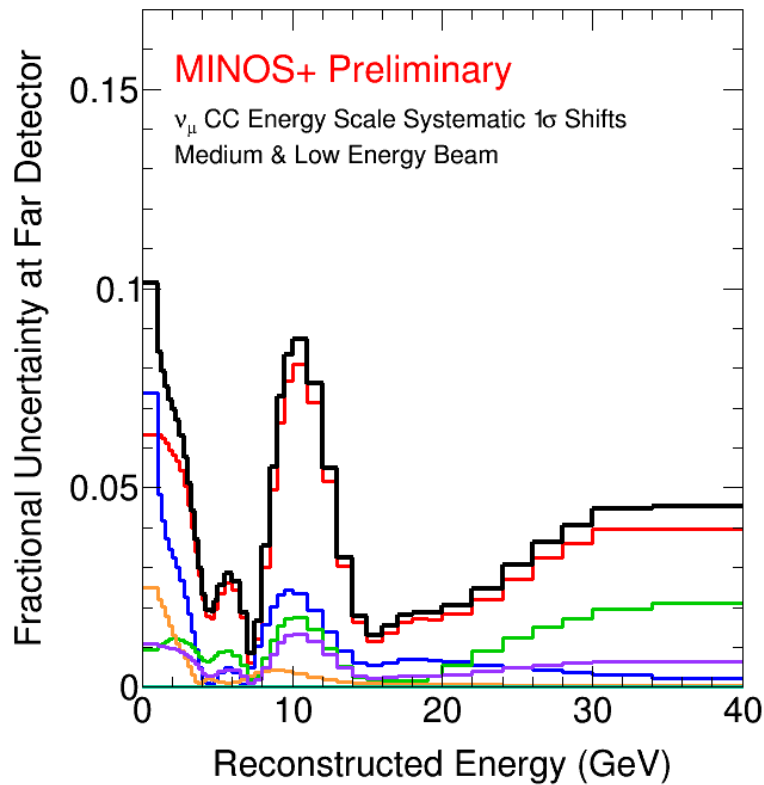
# Systematics: Cross Sections - CC



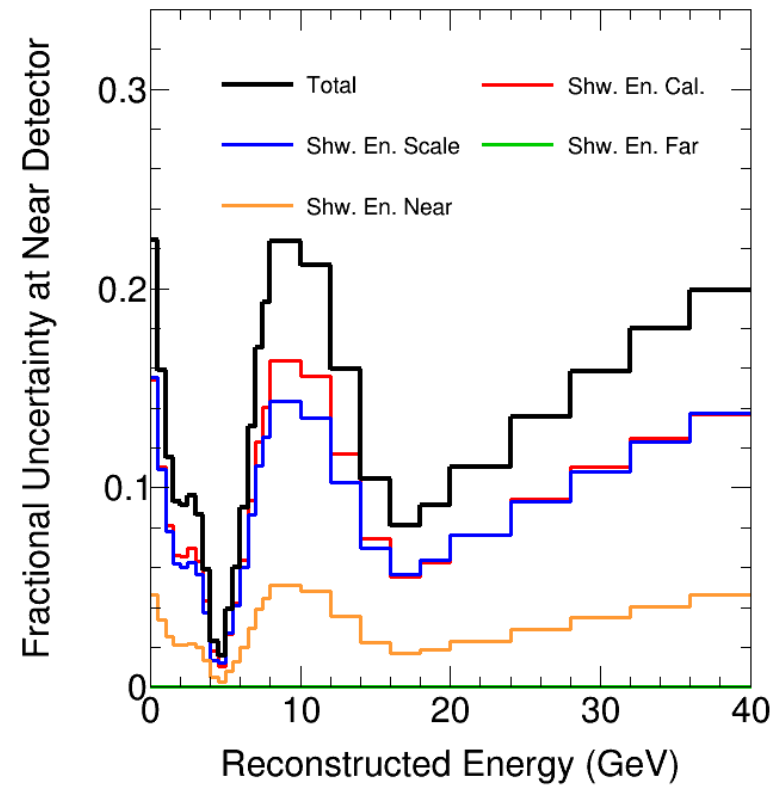
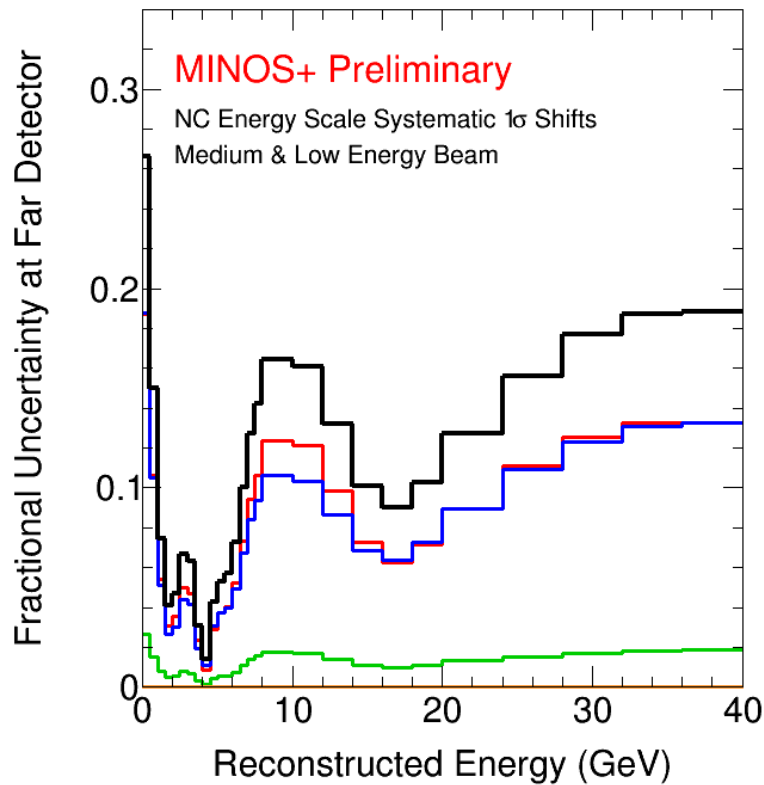
# Systematics: Cross Sections - NC



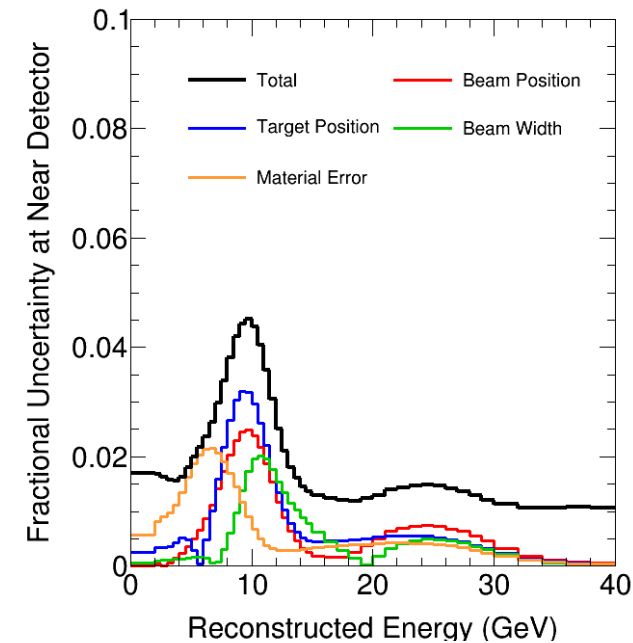
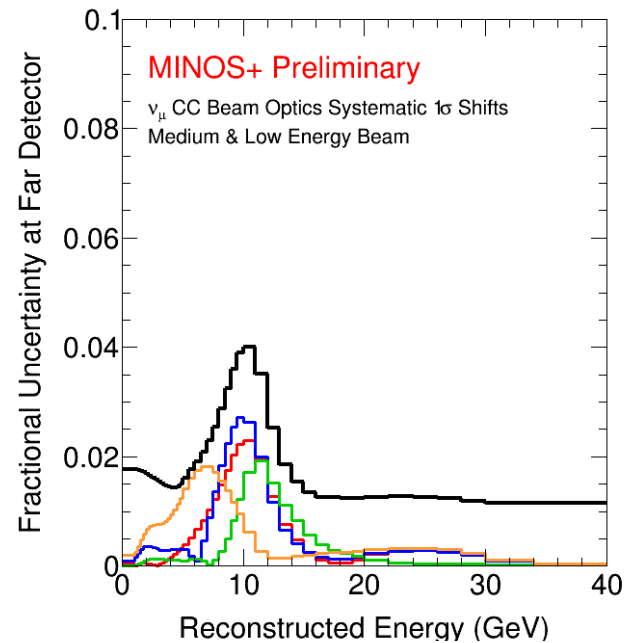
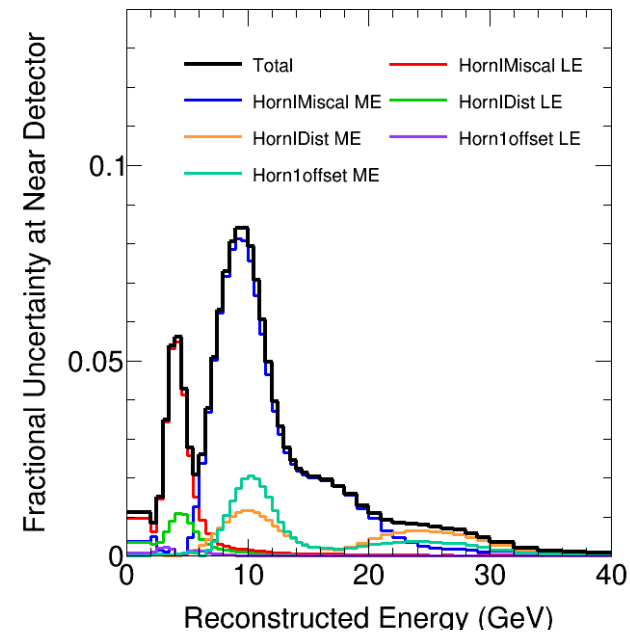
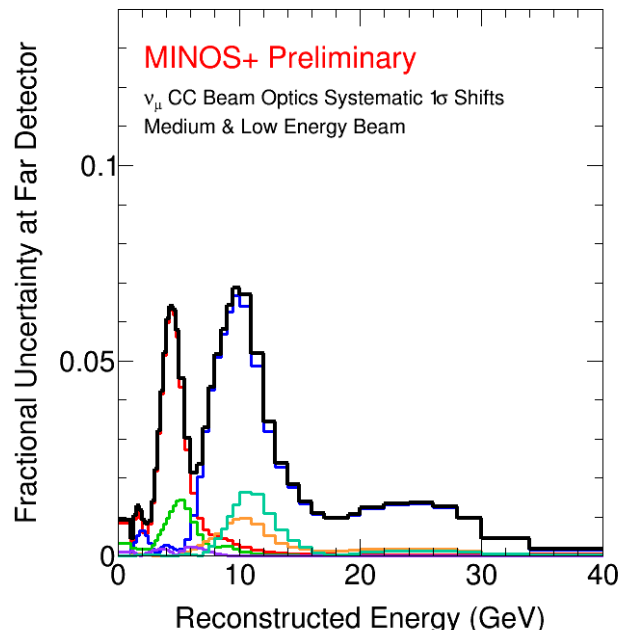
# Systematics: Energy Scale - CC



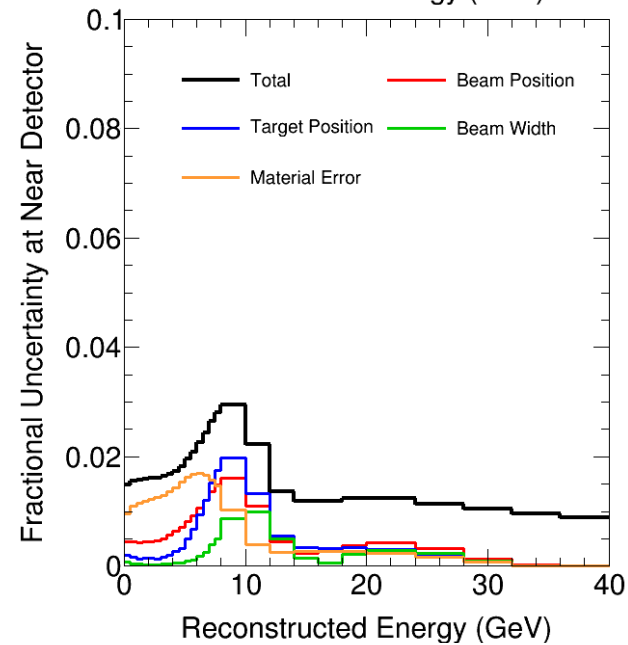
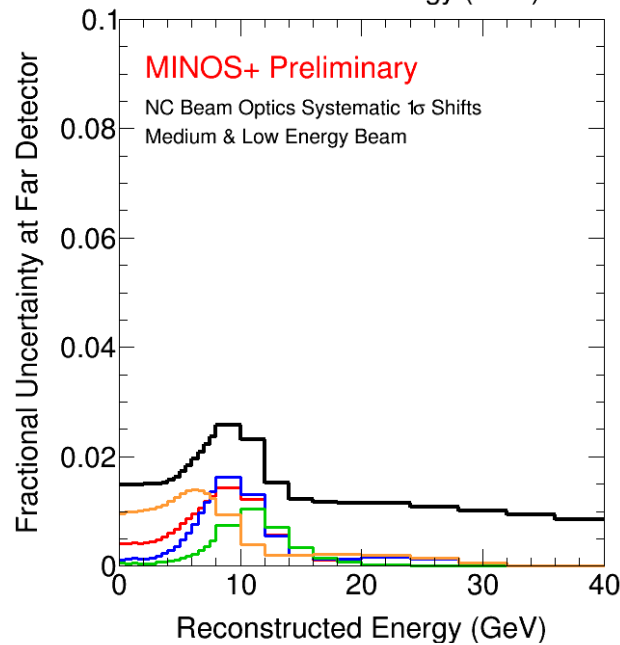
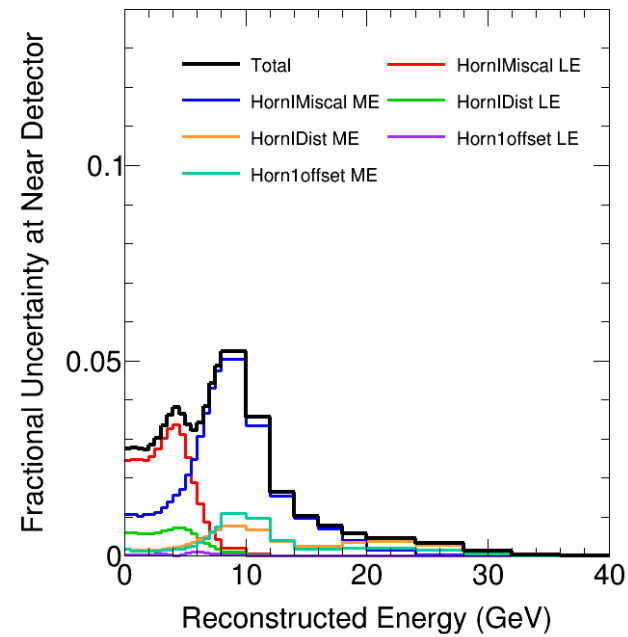
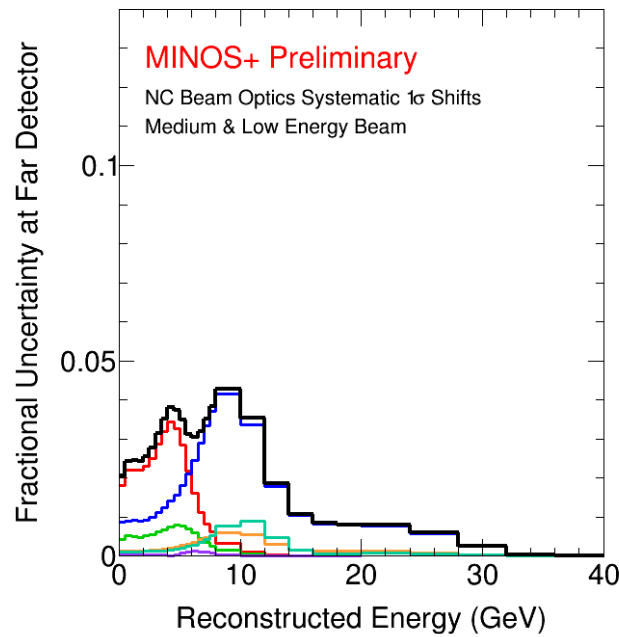
# Systematics: Energy Scale - NC



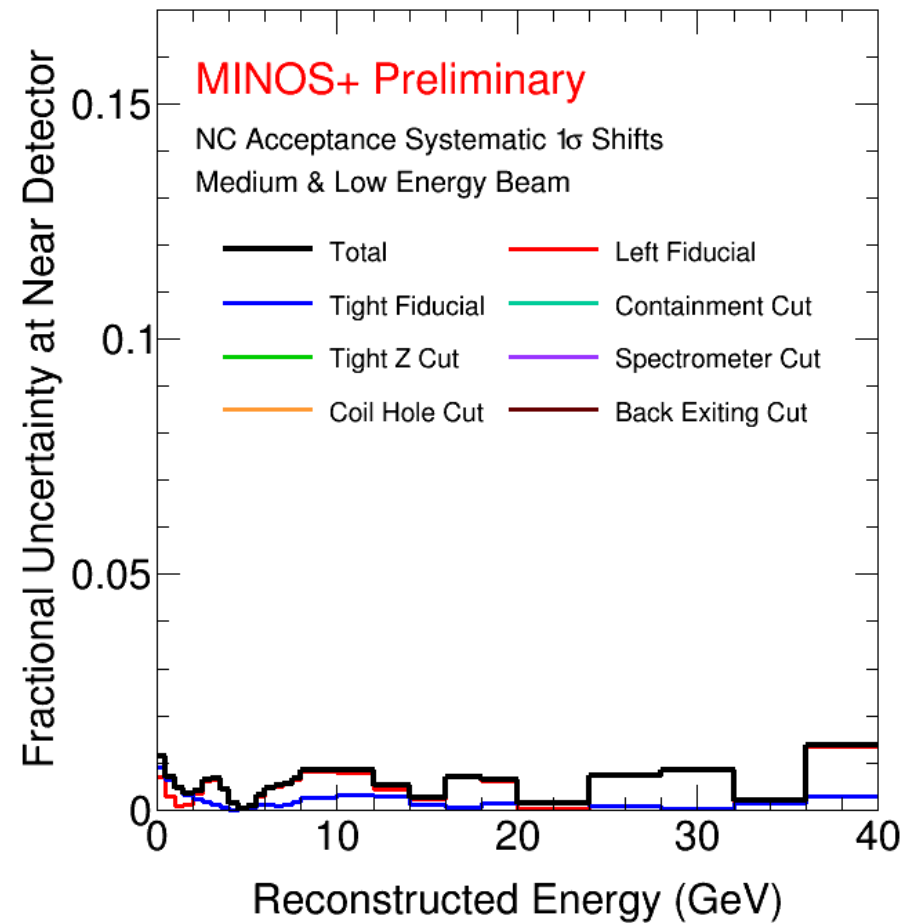
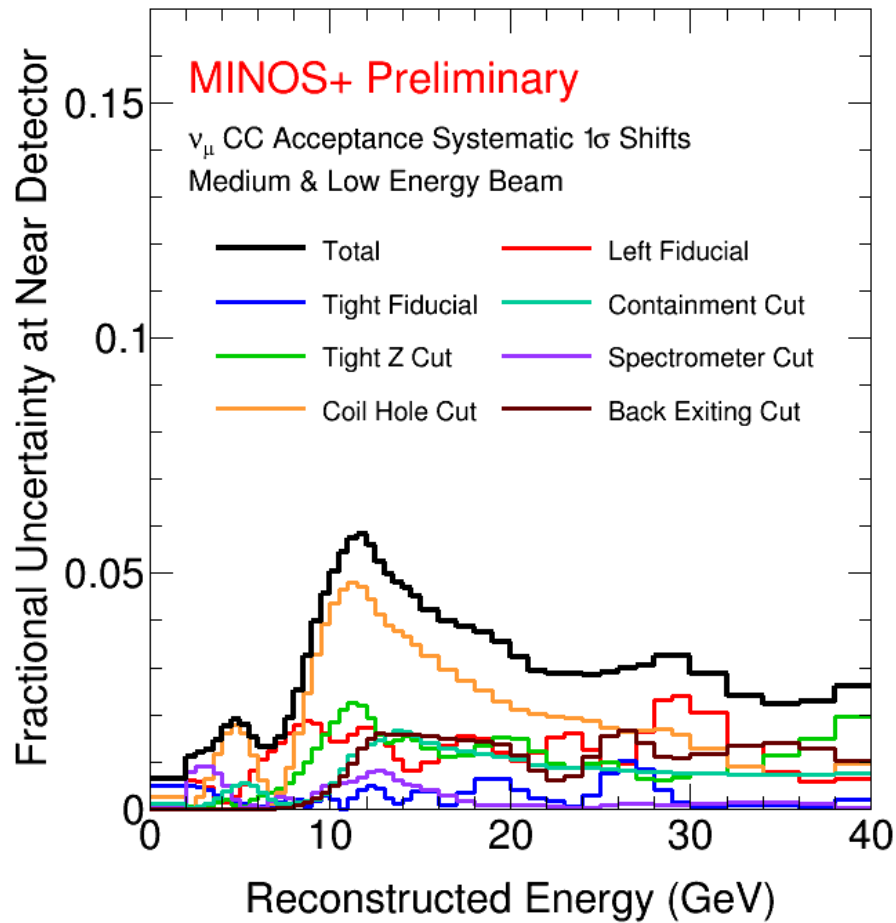
# Systematics: Beam Optics - CC



# Systematics: Beam Optics - NC

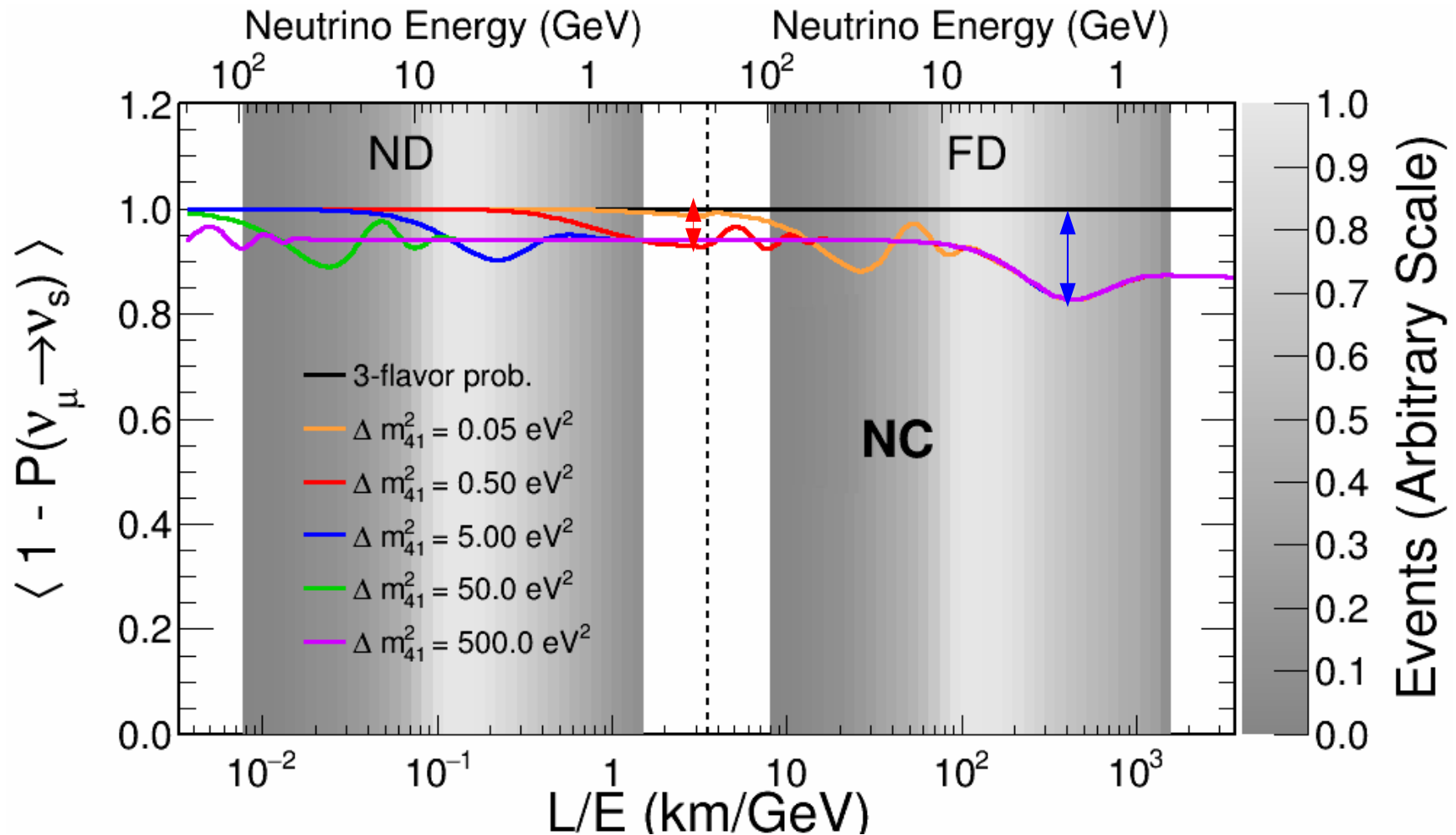


# Systematics: Acceptance





# Oscillations at Very Large $\Delta m_{41}^2$



$$\begin{aligned}
 1 - P(\nu_\mu \rightarrow \nu_s) \approx & 1 - \cos^4 \theta_{14} \cos^2 \theta_{34} \sin^2 2\theta_{24} \sin^2 \Delta_{41} \\
 & - \sin^2 \theta_{34} \sin^2 2\theta_{23} \sin^2 \Delta_{31} \\
 & + \frac{1}{2} \sin \delta_{24} \sin \theta_{24} \sin 2\theta_{23} \sin \Delta_{31}
 \end{aligned}$$

# Degeneracies

$$P(\nu_\mu \rightarrow \nu_\mu) = 1 - 4 |U_{\mu 3}|^2 (1 - |U_{\mu 3}|^2 - |U_{\mu 4}|^2) \sin^2 \Delta_{31} \\ - 4 |U_{\mu 4}|^2 |U_{\mu 3}|^2 \sin^2 \Delta_{43} - 4 |U_{\mu 4}|^2 (1 - |U_{\mu 3}|^2 - |U_{\mu 4}|^2) \sin^2 \Delta_{41}$$

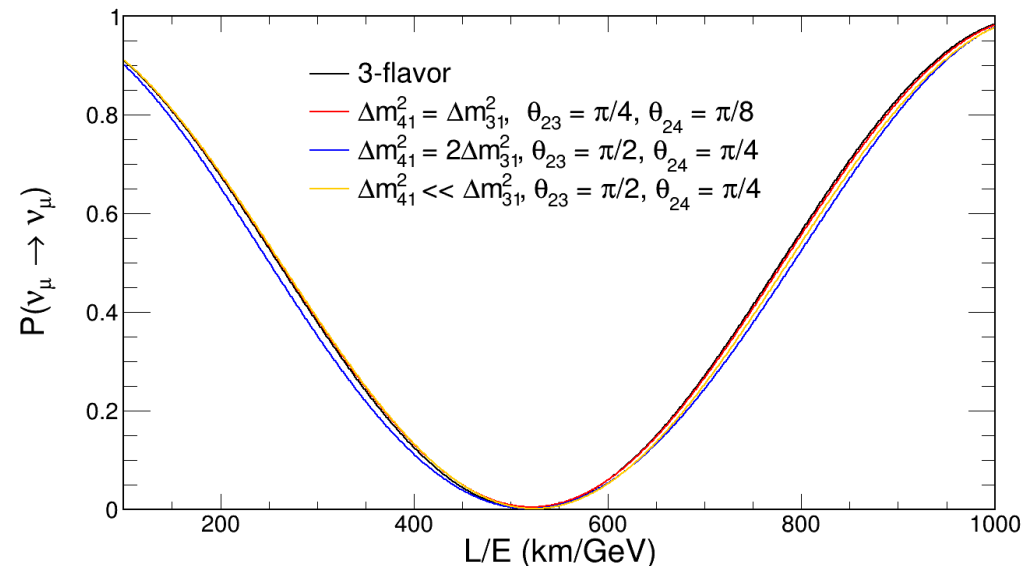
where  $\Delta_{ij} = \frac{\Delta m_{ij}^2 L}{4E}$

If:

- $\Delta m_{41}^2 \approx \Delta m_{31}^2$
- $\Delta m_{41}^2 \approx 2\Delta m_{31}^2$
- $\Delta m_{41}^2 \ll \Delta m_{31}^2$

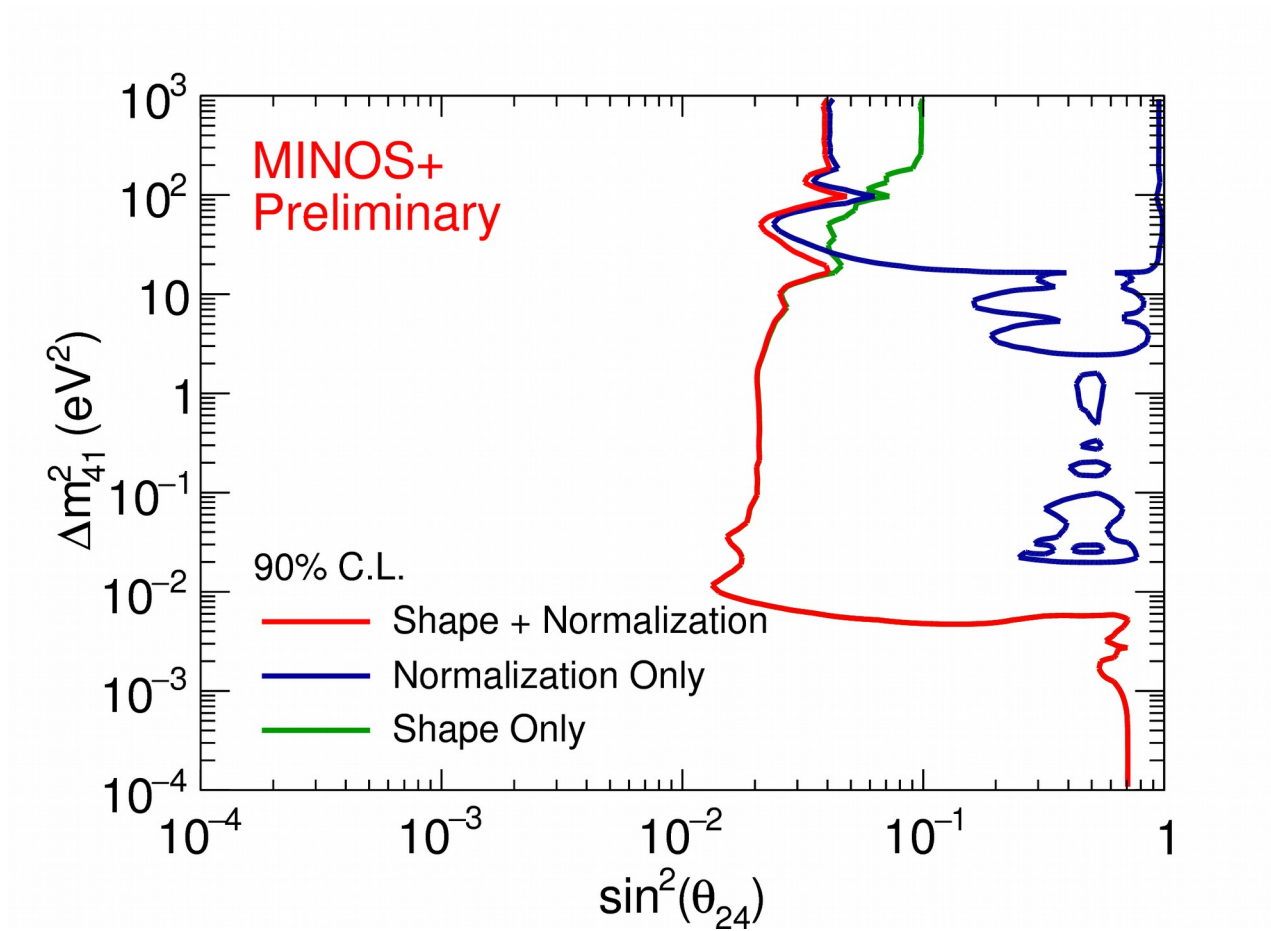
Certain combinations of  $\theta_{23}$ ,  $\theta_{24}$ , and  $\theta_{34}$  can produce 4-flavor solutions nearly indistinguishable from 3-flavor.

Run each fit five times  $\rightarrow$  each  $\theta_{23}$  octant and mass hierarchy choice and the degenerate region.

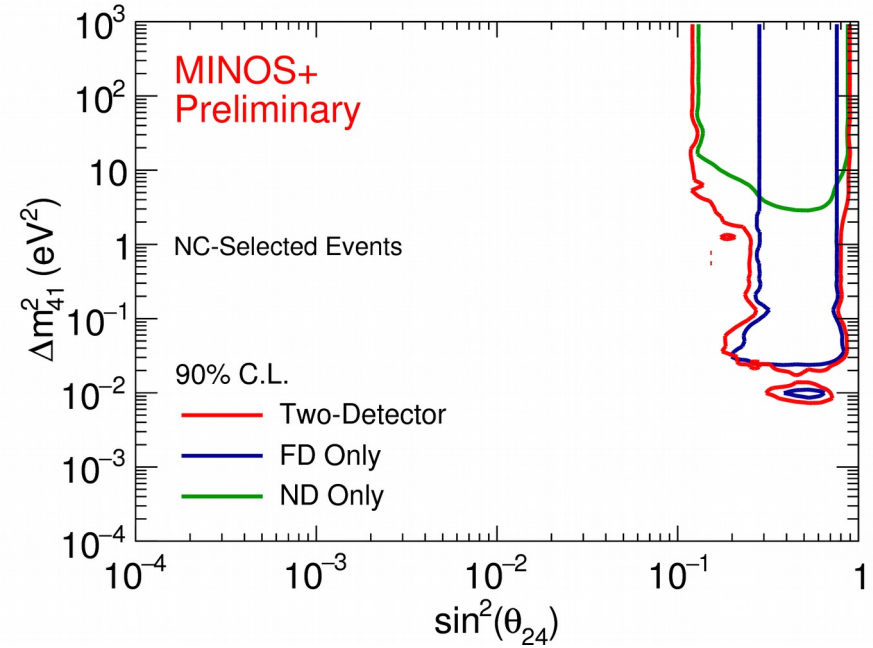
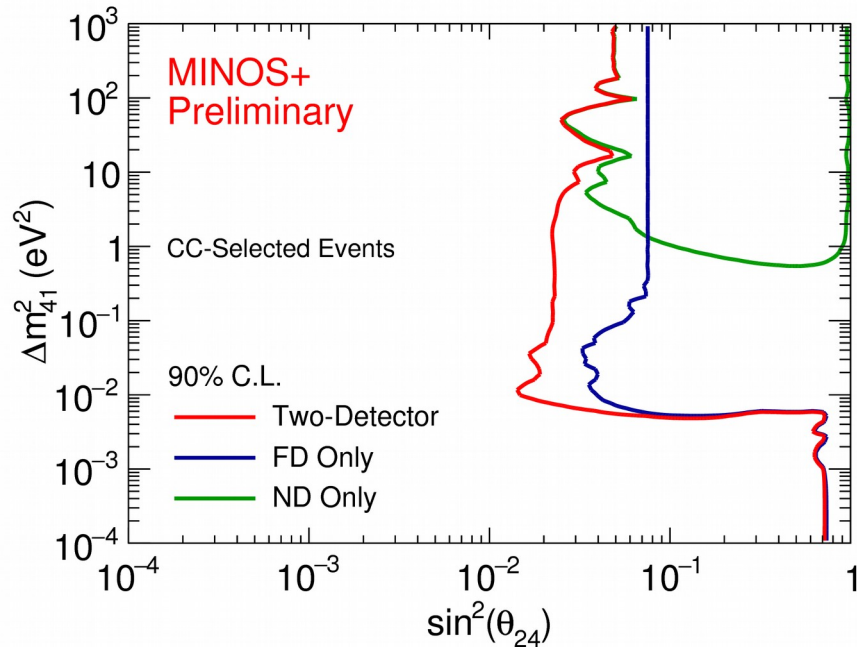
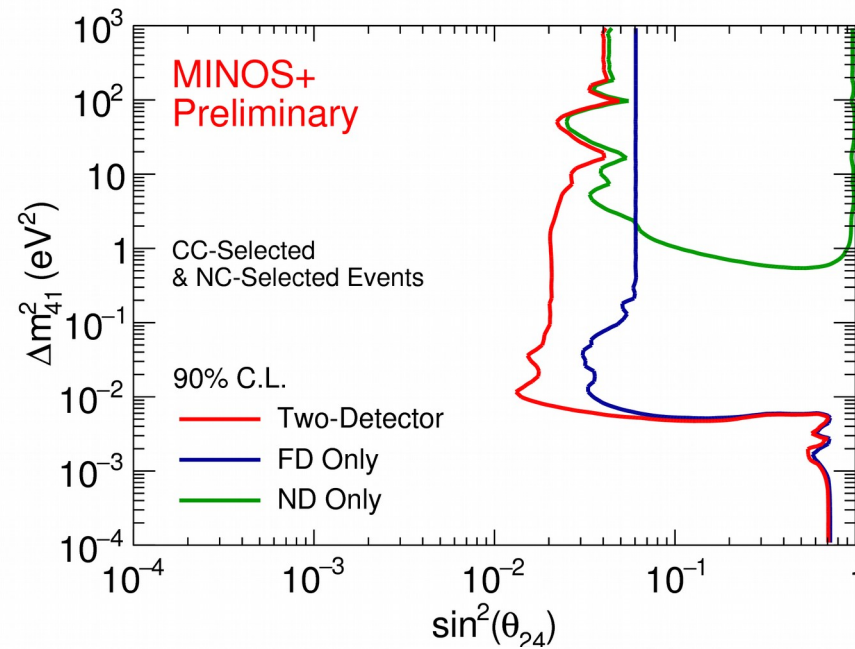


Example degenerate scenarios

# Sensitivity: Shape vs. Normalization



# Sensitivity: CC vs. NC



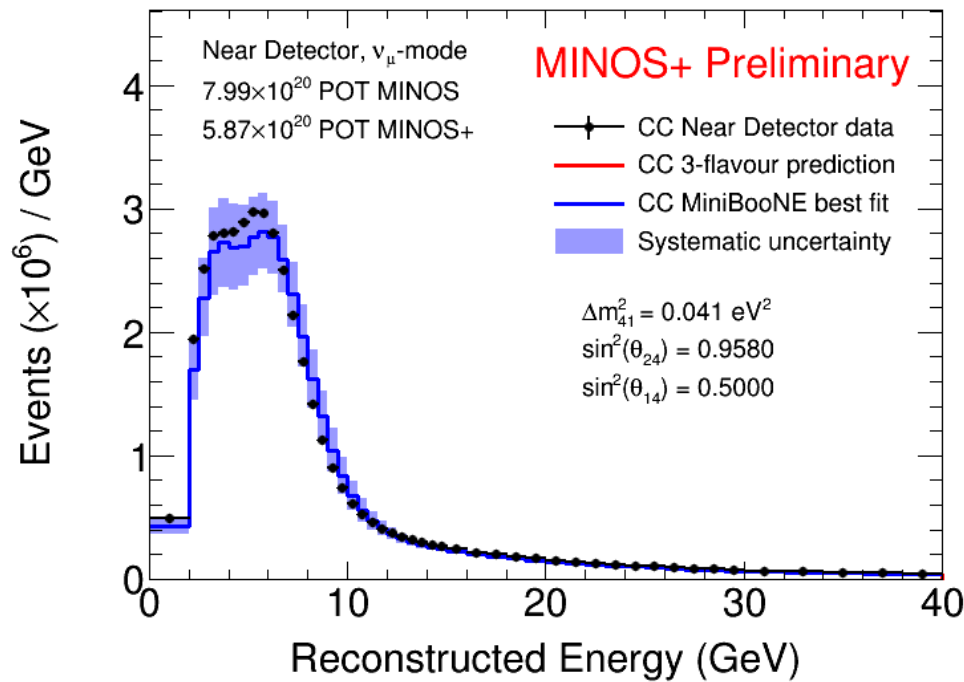
# Comparison to MiniBooNE's Best Fit: CC Sample

New MiniBooNE paper – arXiv:1805.12028

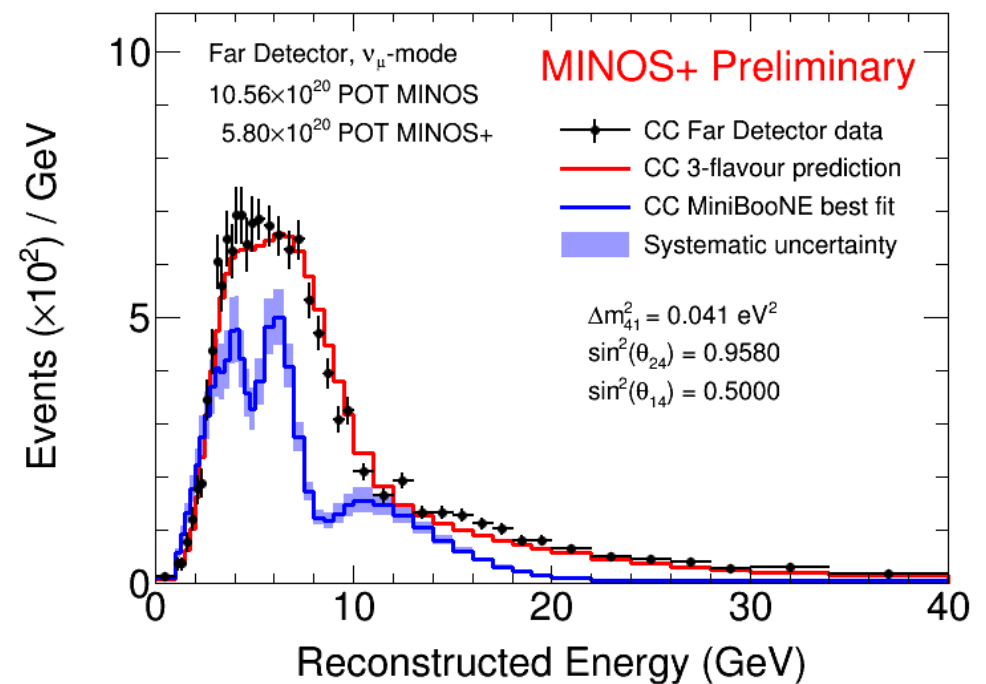
Best fit:  $\Delta m^2 = 0.041 \text{ eV}^2$  and  $\sin^2 2\theta_{\mu e} = 0.958$

$$\sin^2_{\mu e} = 4|U_{e4}|^2|U_{\mu4}|^2 = \sin^2 2\theta_{14} \sin^2 \theta_{24}$$

Take  $\sin^2 2\theta_{14} = 1$  to minimize  $\nu_{\mu}$  disappearance



Near Detector

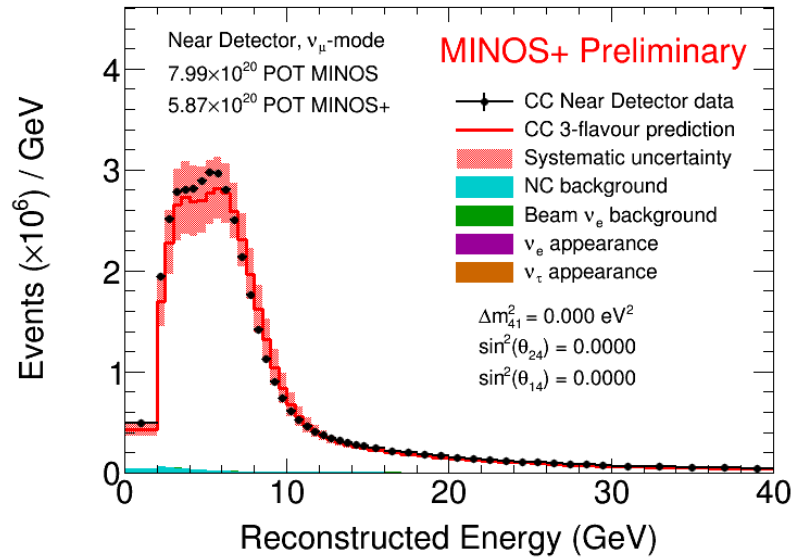


Far Detector

# Comparison to MiniBooNE's Best Fit: CC Sample

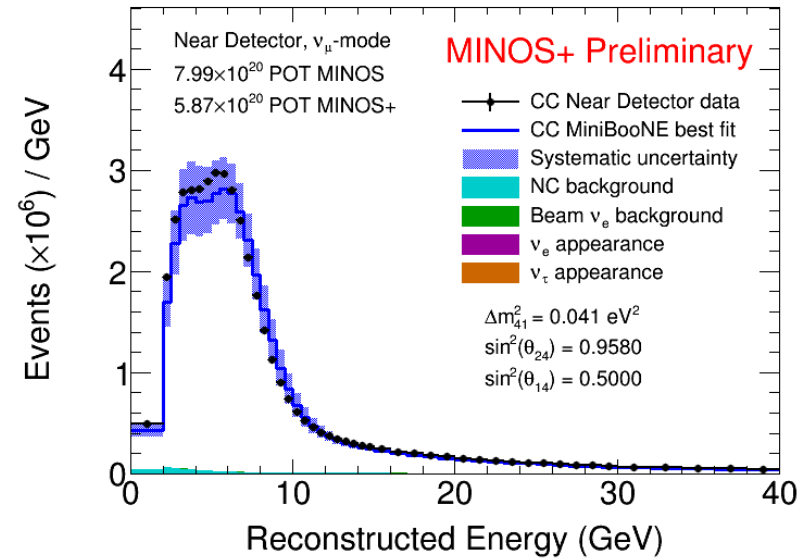
## Three-flavor Oscillations

Near Detector

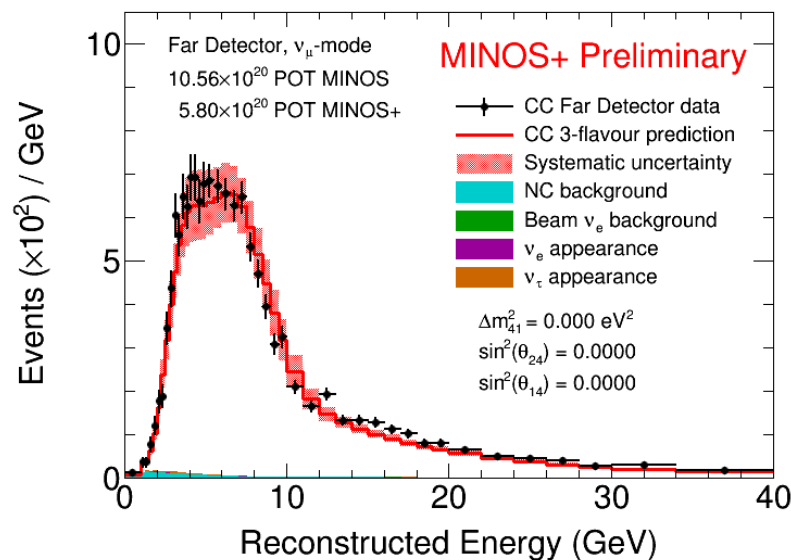


## MiniBooNE's Best Fit

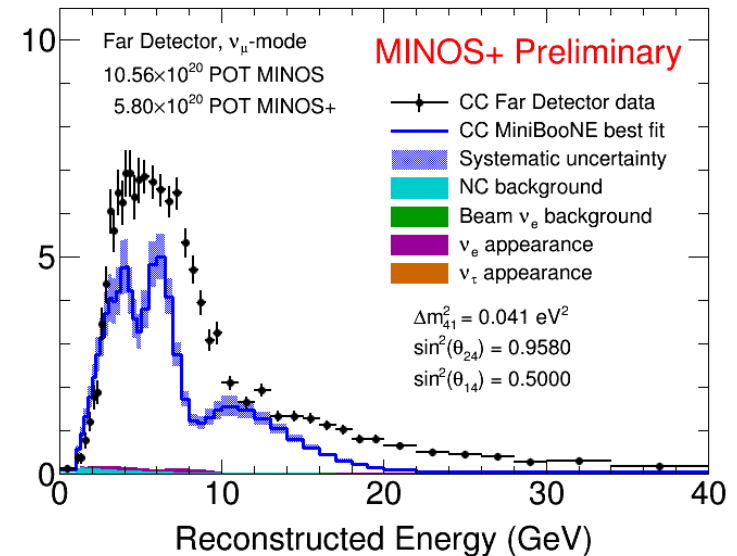
Near Detector



Far Detector



Far Detector



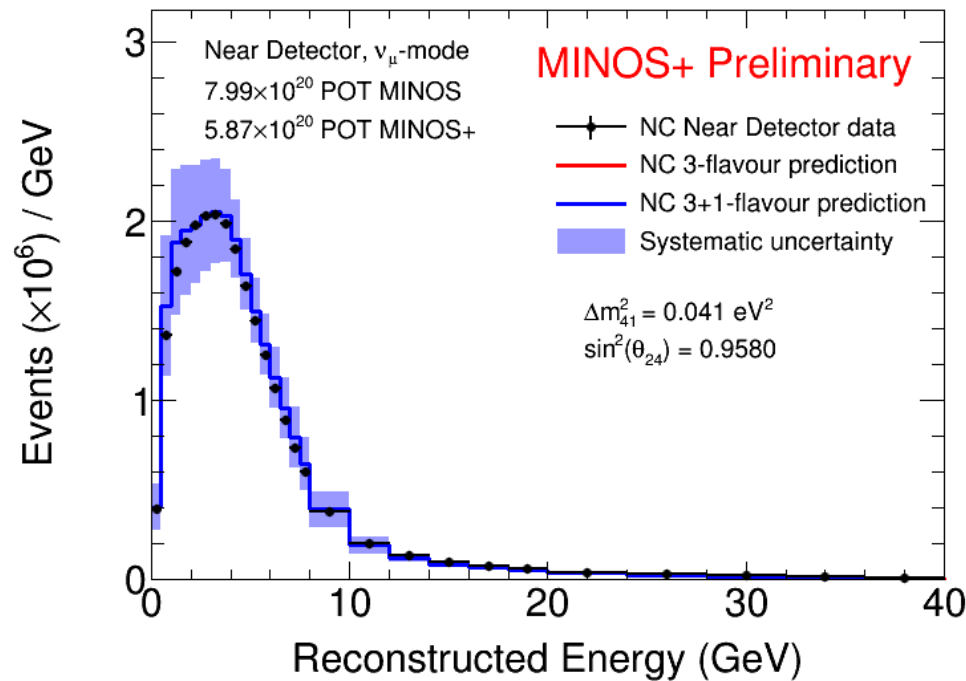
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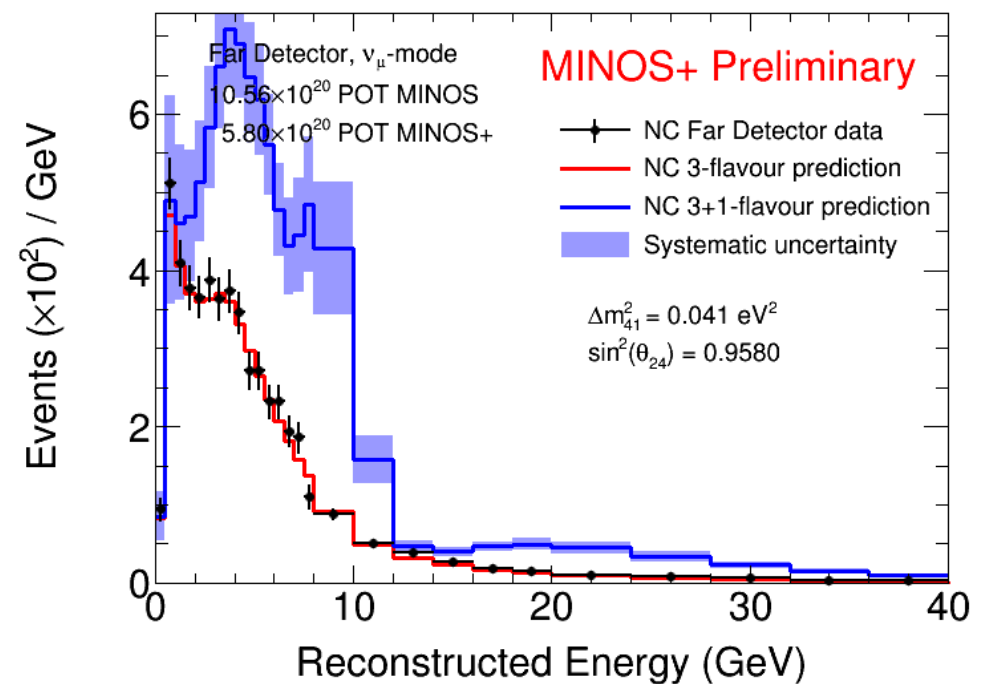
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Near Detector

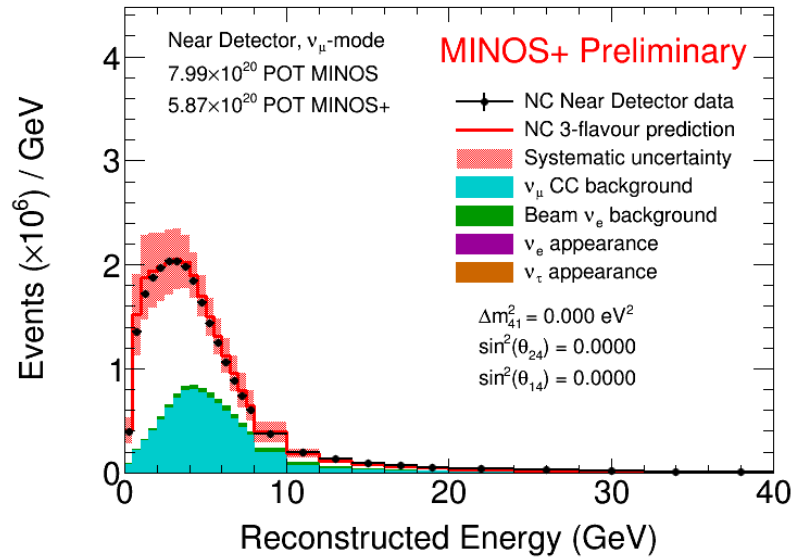


Far Detector

# Comparison to MiniBooNE's Best Fit: NC Sample

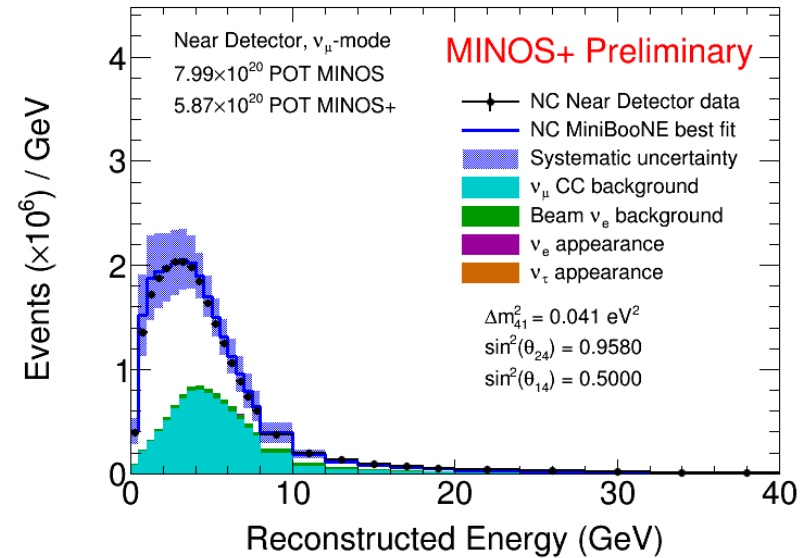
## Three-flavor Oscillations

Near Detector

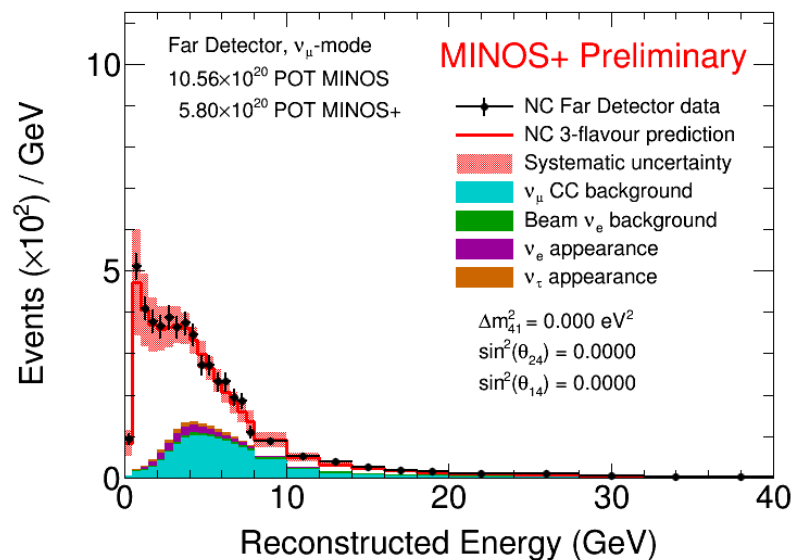


## MiniBooNE's Best Fit

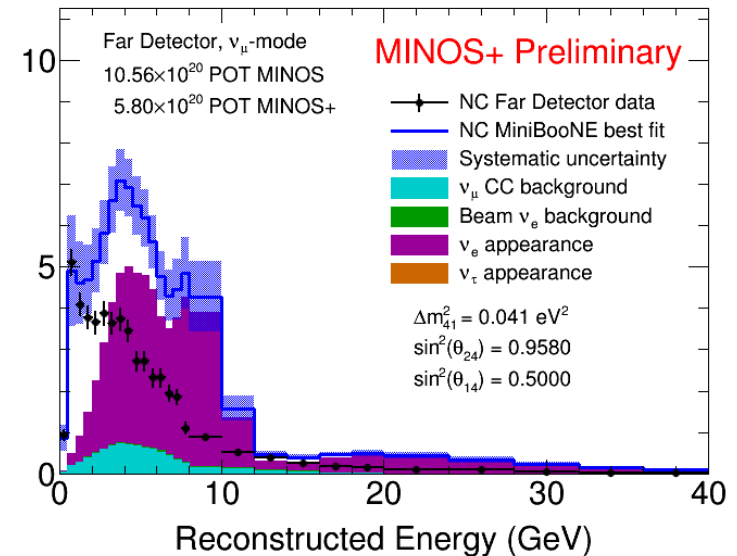
Near Detector



Far Detector

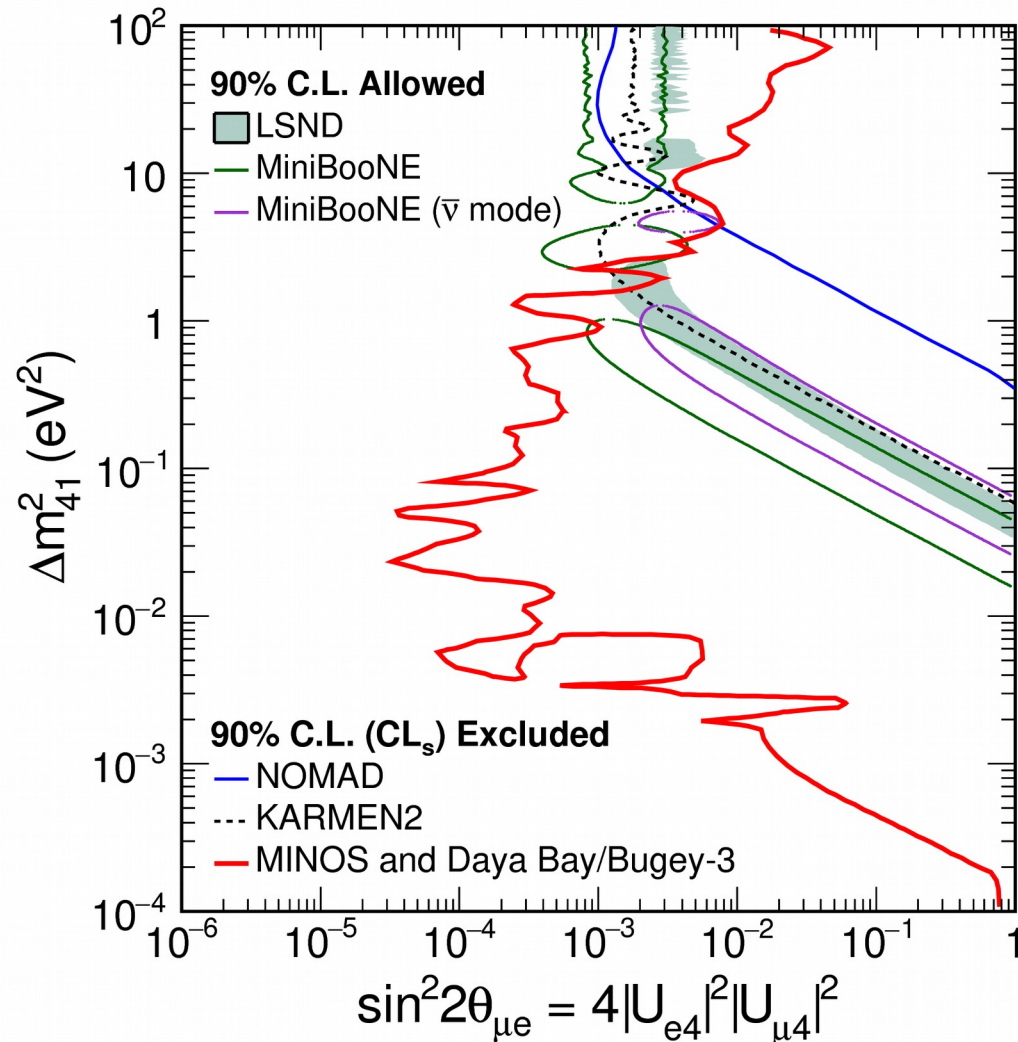


Far Detector



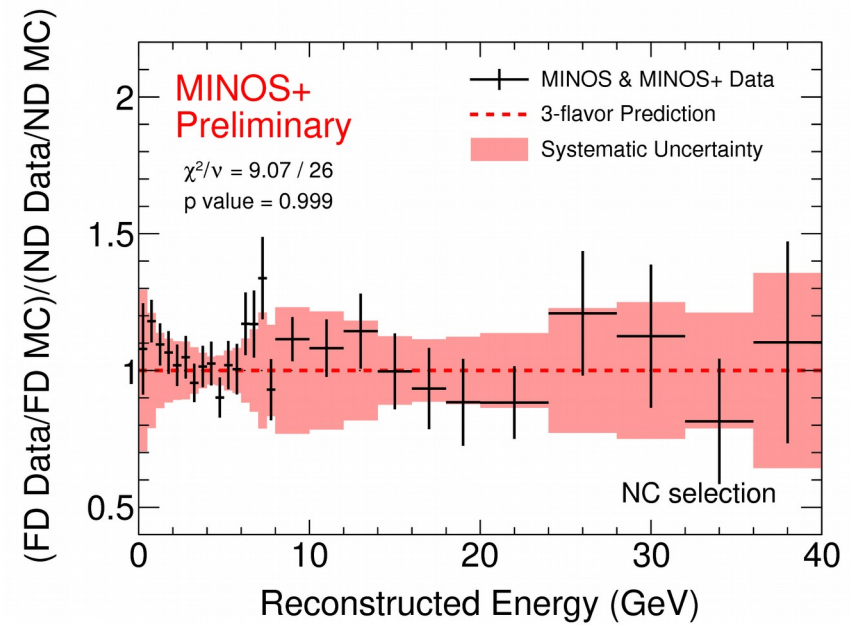
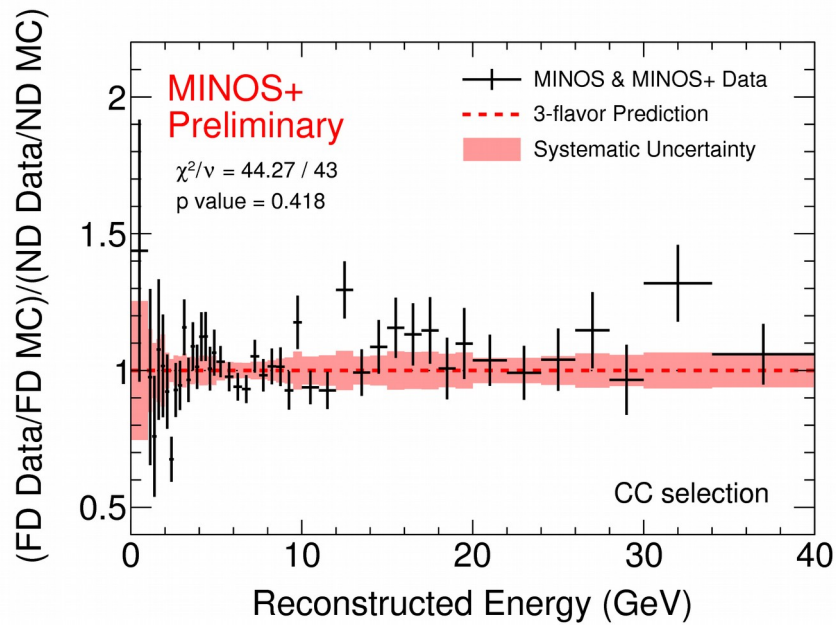


# Comparison to MiniBooNE: MINOS/Daya Bay/Bugey Combination



- MINOS and MINOS+ are in significant tension with the new MiniBooNE result, even assuming a conservative  $\sin^2 2\theta_{14} = 1$
- Using  $\theta_{14}$  from Daya Bay and Bugey combined with the previous MINOS result leads to an even larger tension which will only increase if a future combination with Daya Bay is performed

# Consistency with Three Flavor Oscillations



# Inadequacy of the Asimov Sensitivity

