

### Problem

- Studies that investigate the presence of information multiplexed at several time scales across the neural response rely on specific ad hoc assumptions [1].
- We still lack a simple method that can easily individuate all temporal scales carrying unique information within a spike train.

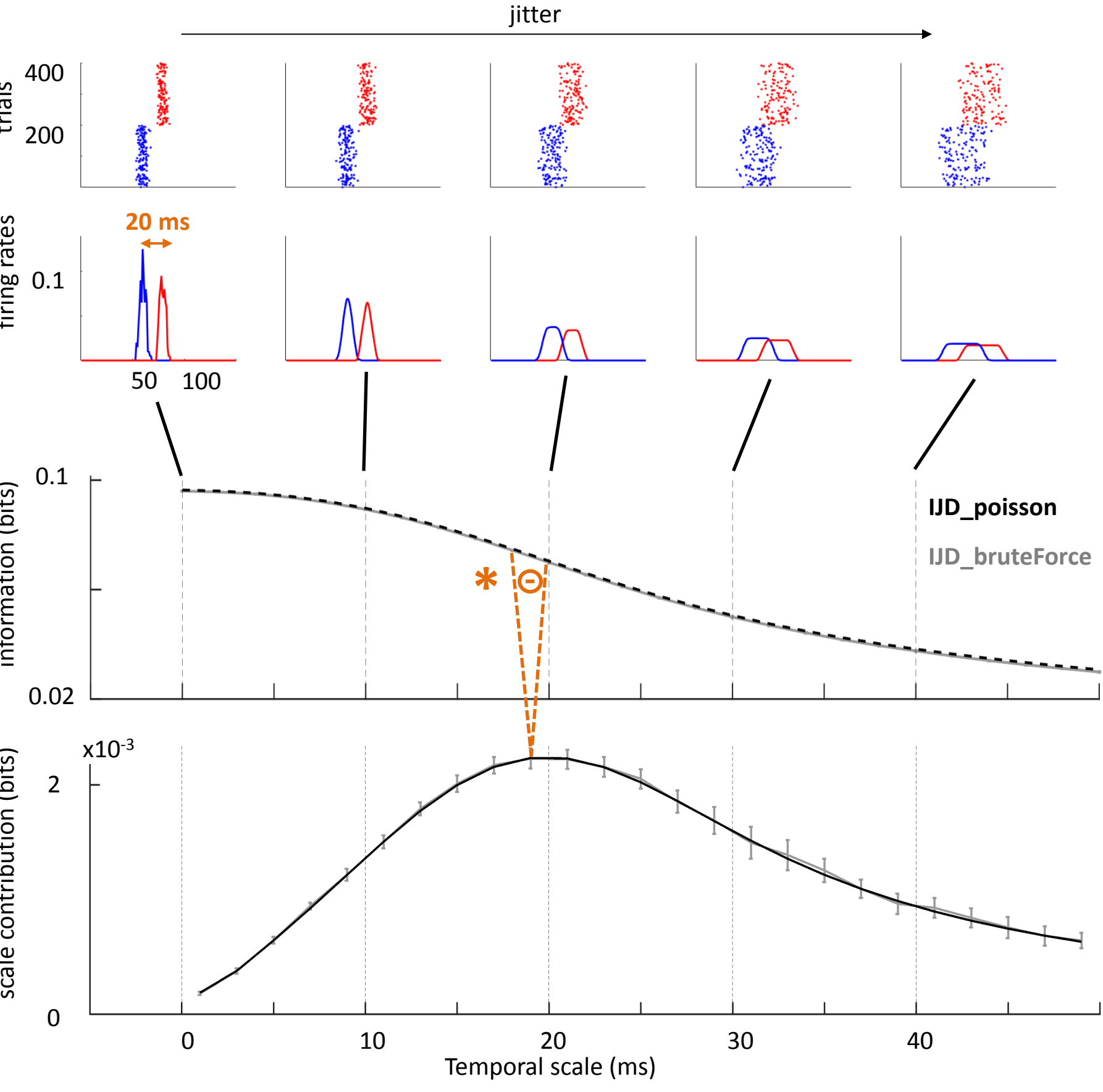
### Approach

- The **Information Jitter Derivative Method (IJD)** computes the **derivative of the information with respect to the precision** with which the neural response is measured. It uses a **jitter approach to modify such precision**.
- We analyzed data recorded from the **retinal ganglion cells (RGCs)** of the axolotl salamander and the **trigeminal ganglion cells (TGCs)** in the rat somatosensory system.

### Conclusions

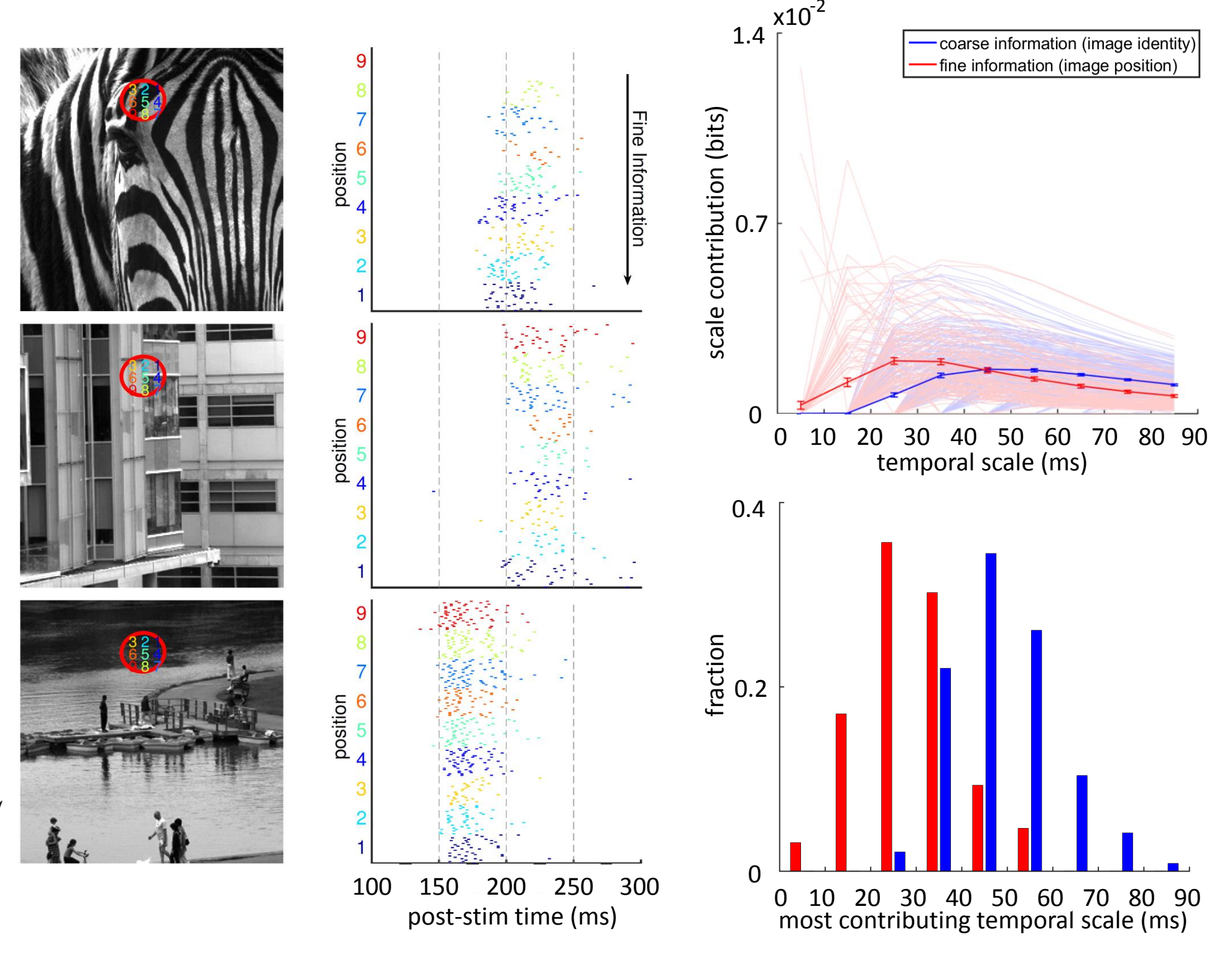
- The IJD method provides a straightforward procedure to infer the **unique contribution** that each temporal scale makes to the sensory information contained in the neural response.
- RGCs and TGCs use coarse and fine temporal scales to encode the information about coarse and fine spatial features**, respectively.

### Method



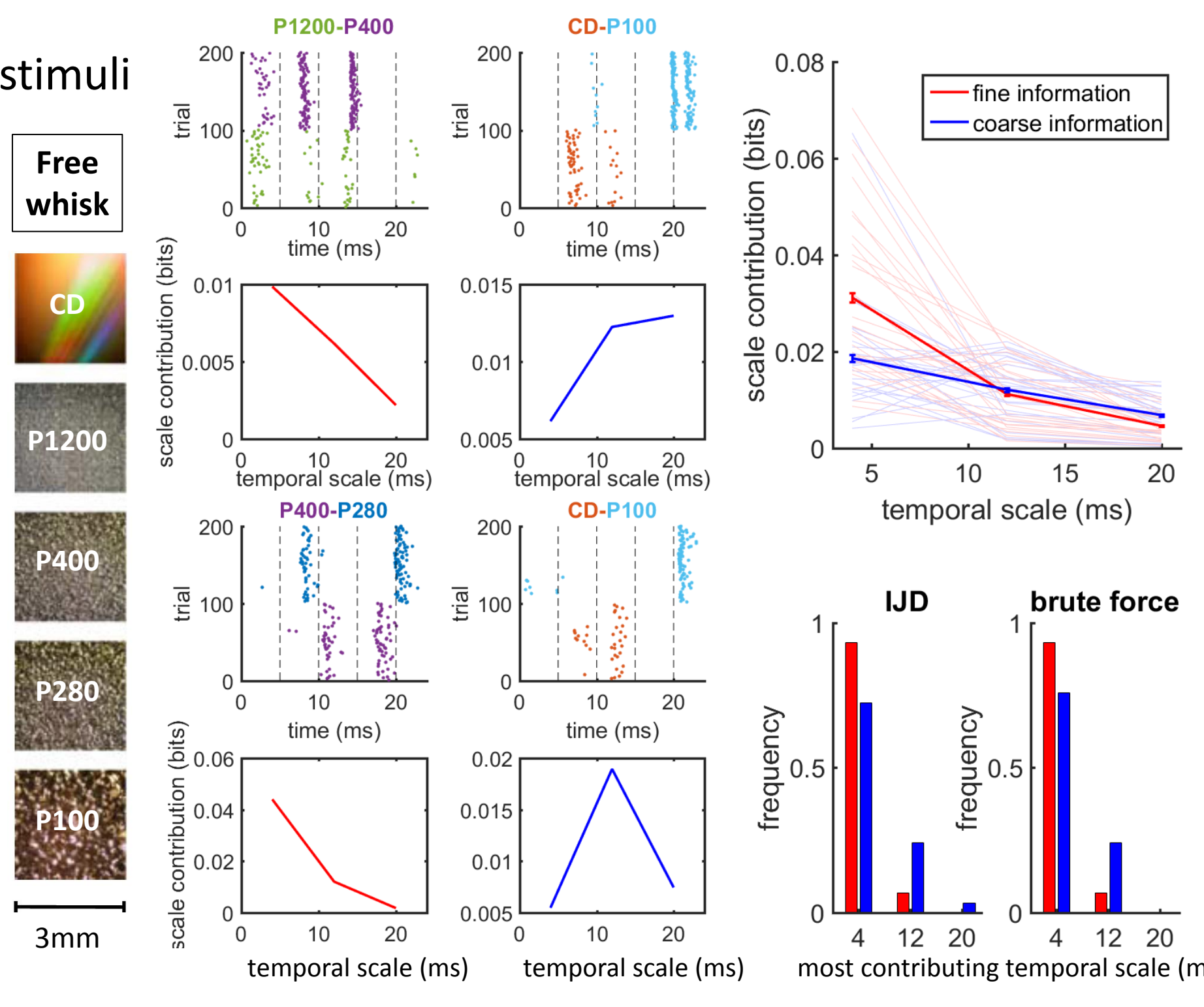
### Analysis of RGCs responses

How do RGCs in the axolotl salamander's retina [2] encode information about different features of a visual scene?



### Analysis of trigeminal cells responses

How do TGCs in the rat's somatosensory system [3] encode information about different textures?



### Implementation details

- Two alternative implementations:
- IJD\_bruteForce**, which uses a standard procedure to compute information.
  - IJD\_poisson**, to be applied when the number of trials per stimulus is low and the standard information calculation is affected by a large bias. More in details:

**1. Analytically derive the average firing rates associated with a given jitter size.**

**Assumptions:**

- Poisson spiking process in each bin.
- Independence among different bins.

**2. Compute the information contained in the jittered neural response.**

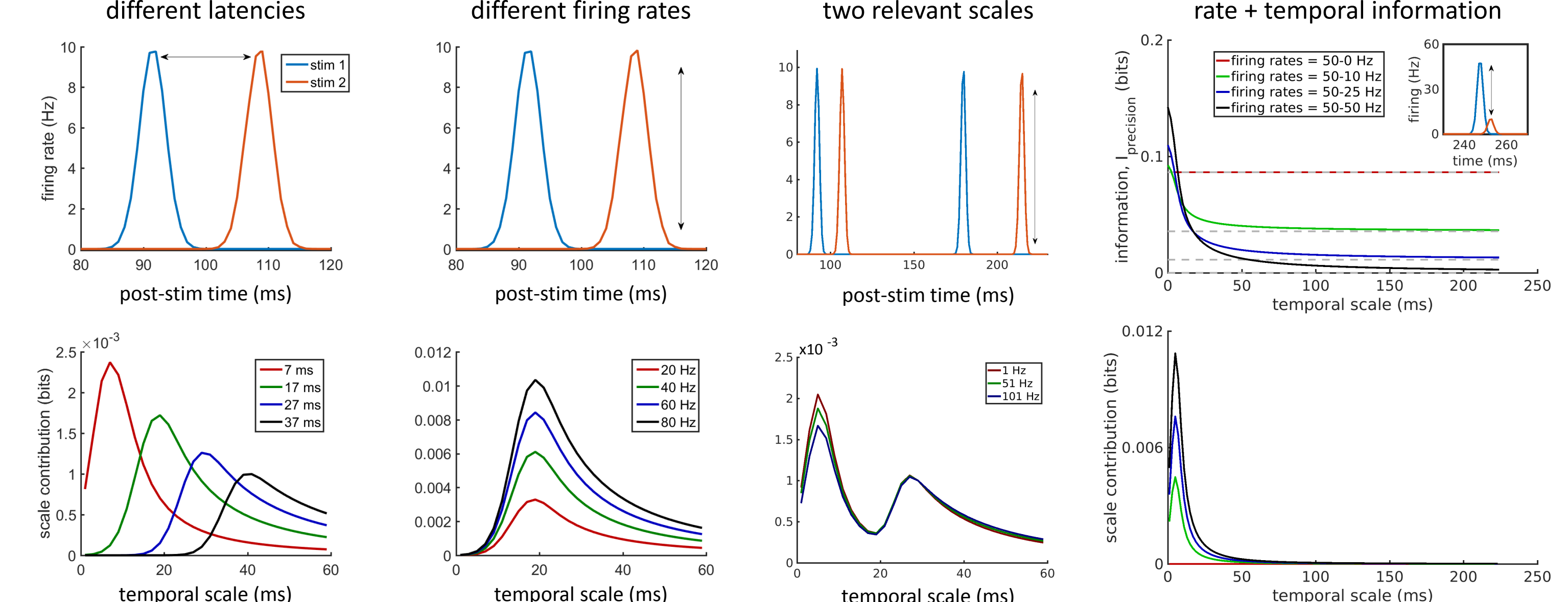
$$I(S; R) = -\sum_r p(r) \log_2(p(r)) + \sum_s p(s) \sum_r p(r|s) \log_2(p(r|s))$$

$$\bar{\psi}_k(J, s) = \sum_{i=1}^c \gamma_{i,k}(J) \bar{r}_i(s)$$

$$\prod_i p(r_i|s) = \prod_i \text{Pois}(r_i; t\bar{\psi}_i(J, s))$$

**3. Calculate the contribution of each temporal scale by performing a finite difference (see the figure above \*) on the information values obtained in the previous point.**

### Simulations



### Acknowledgements

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### References

- Panzeri, S. et al. Trends in Neuroscience. 2010. doi:10.1016/j.tins.2009.12.001
- Onken A. et al. PLOS Comp. Biol. 2016. 12(11):e1005189.
- Arabzadeh E., Journal of Neuroscience 26.36 (2006): 9216-9226.