

Evidence for galaxy dynamics tracing cosmological evolution

Maurice H.P.M. van Putten

van Putten 2017 ApJ 828 28

- 2017 ApJ 837 22

- 2016 ApJ 824 43

- 2015 MNRAS, 450, L48

AAS231 January 11 2018 Cosmology IV 327.06



세종대학교
SEJONG UNIVERSITY



Contents

H₀-tension: New Physics in the cosmological vacuum?

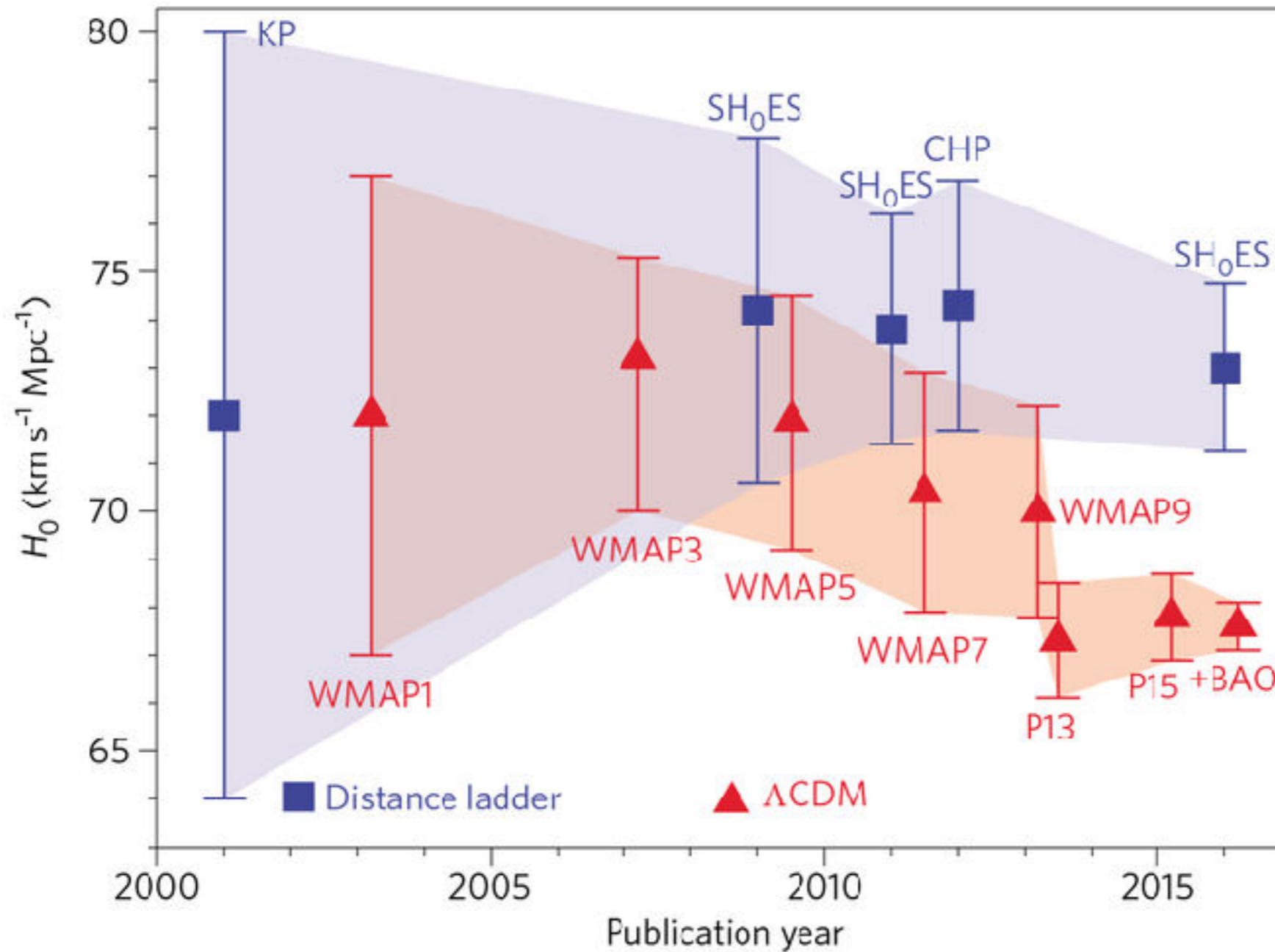
Consequences of the cosmological horizon \mathcal{H}

Tension-free H_0 from $\Lambda = \omega_0^2$ of \mathcal{H}

C⁰ galaxy dynamics normalized to $a_{\text{ds}}=cH$

Conclusions and outlook

H_0 -tension problem

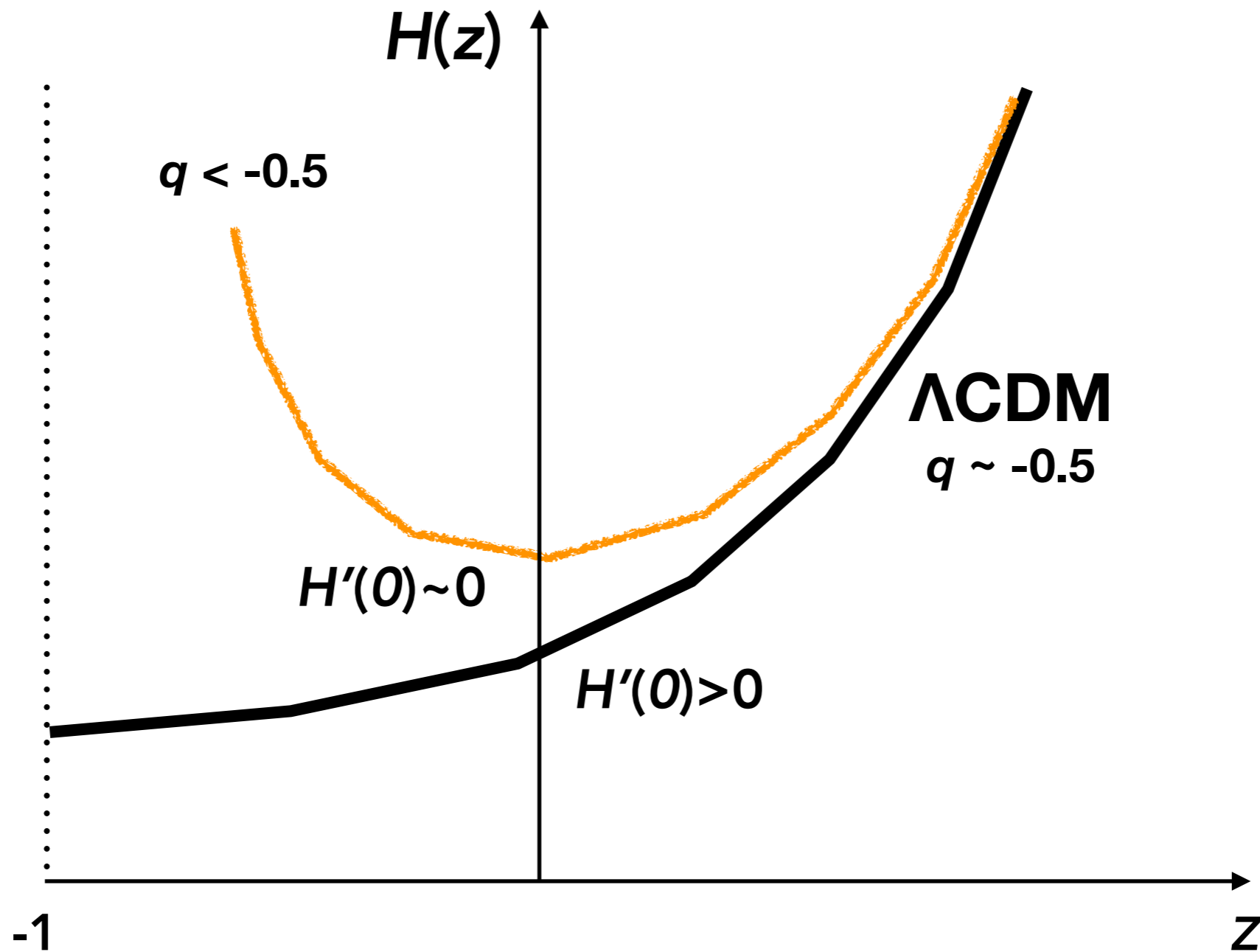


H_0 from surveys of the Local Universe (sans cosmological model)

H_0 from Λ CDM analysis of cosmological data (CMB, BAO, ...)

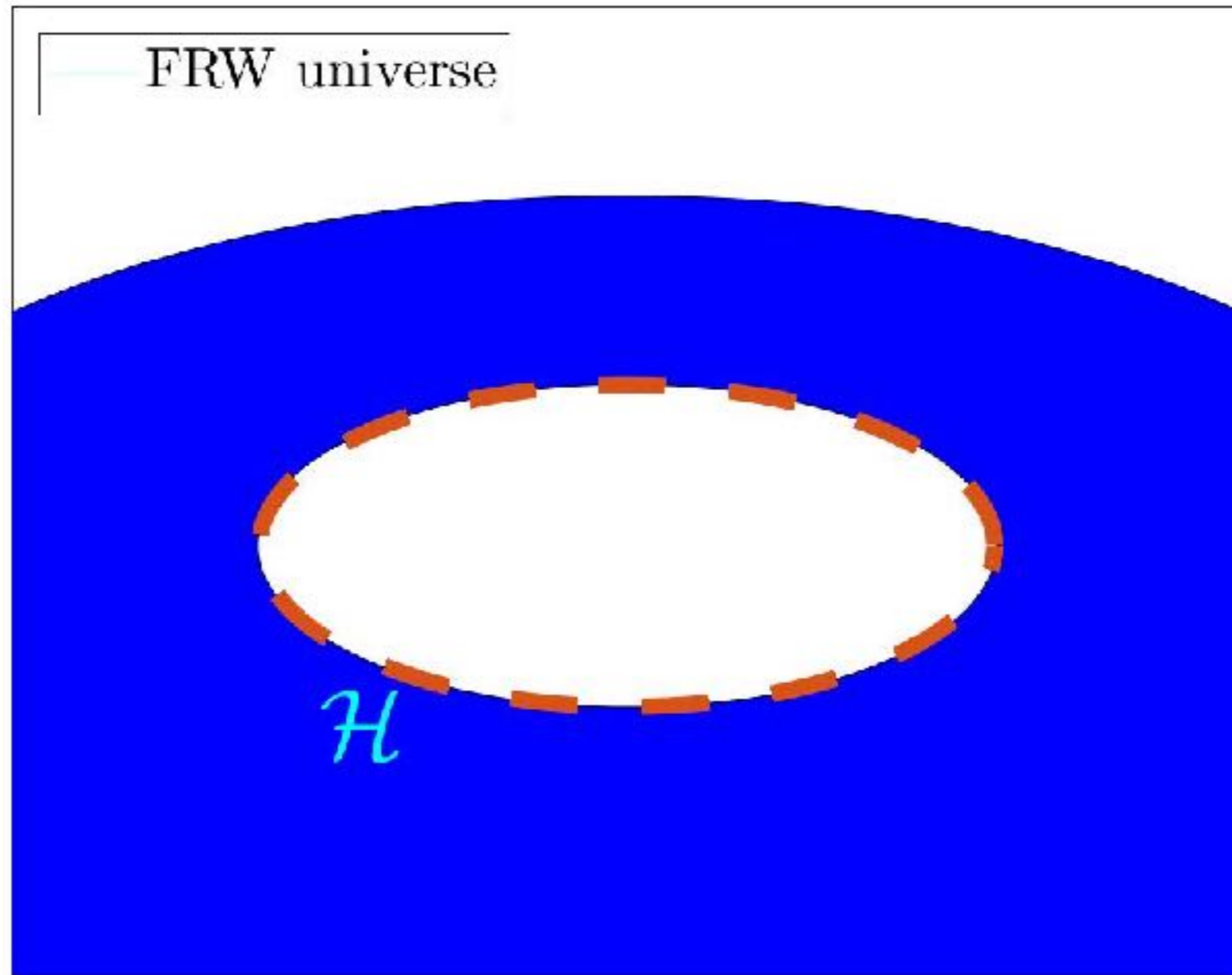
W. L. Freedman, 2017, Nat. Astron., 1, 0169

Fast versus stiff evolution



General relativity on a classical vacuum:
$$q = \frac{1}{2}\Omega_m - \Omega_\Lambda$$

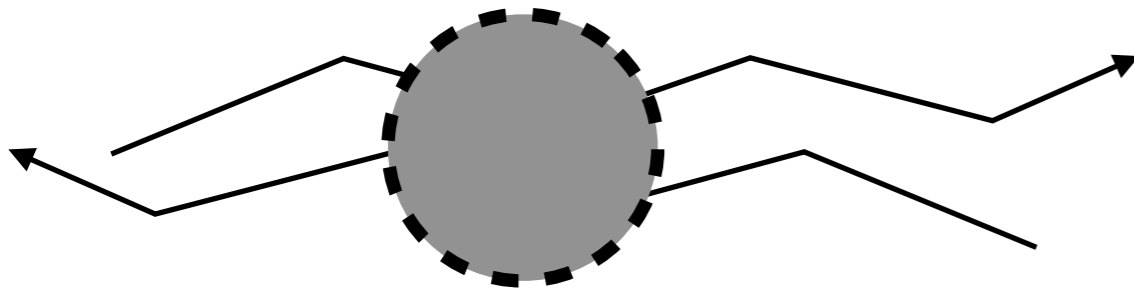
Cosmological horizon



Apparent horizon surface defined in geometric optics limit

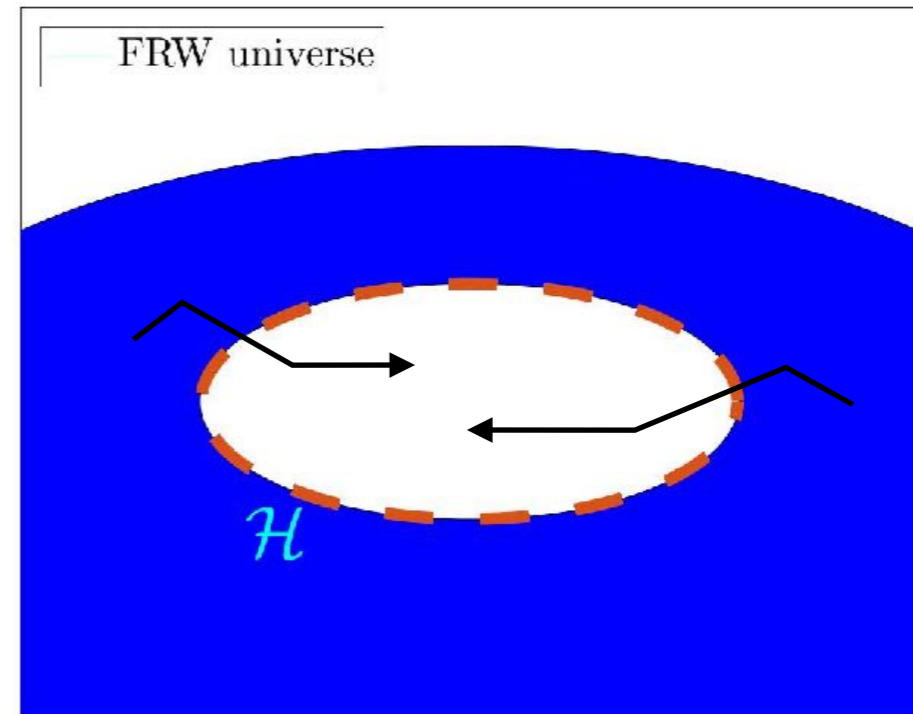
Natural tension \mathcal{H} with wave mechanics

Hawking radiation:
super-horizon scale modes leaking out



$$\omega = \frac{1}{2C_S}$$

$$C_S = 2\pi R_S$$

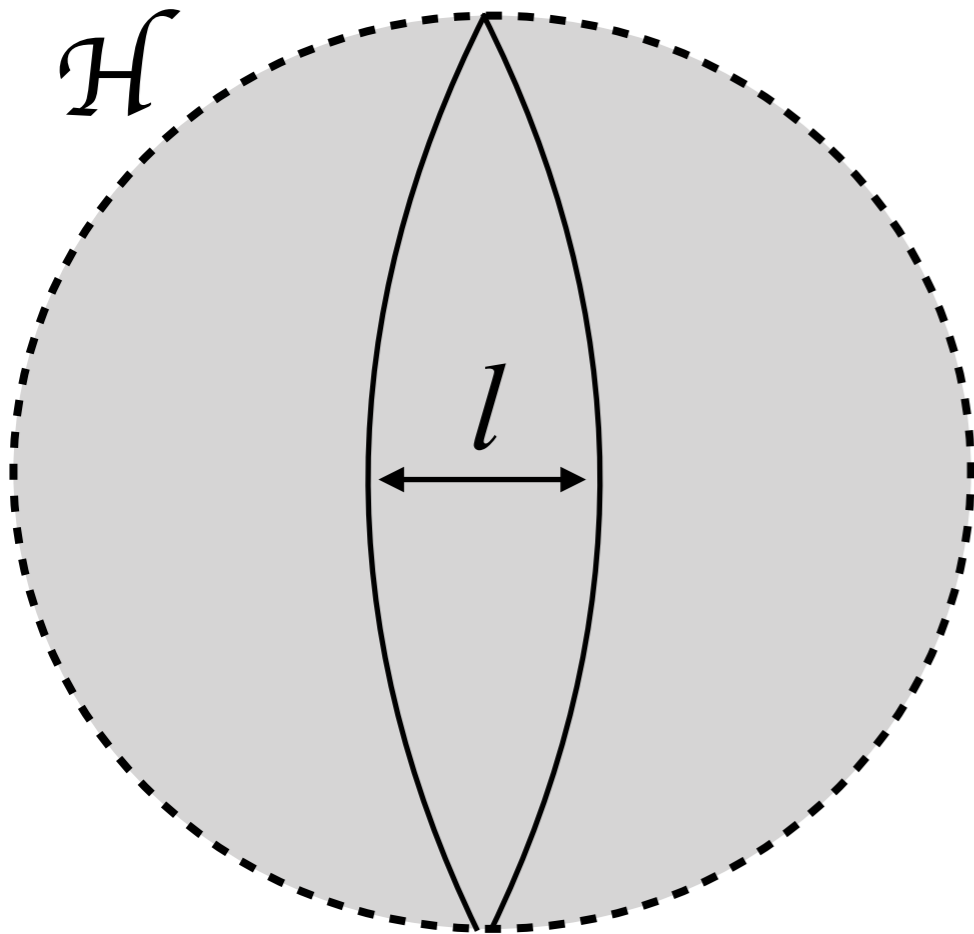


Super-horizon scale modes leaking in

$$\omega = ?$$

Fundamental frequency

van Putten 2017 ApJ 837 22



\mathcal{H} is compact

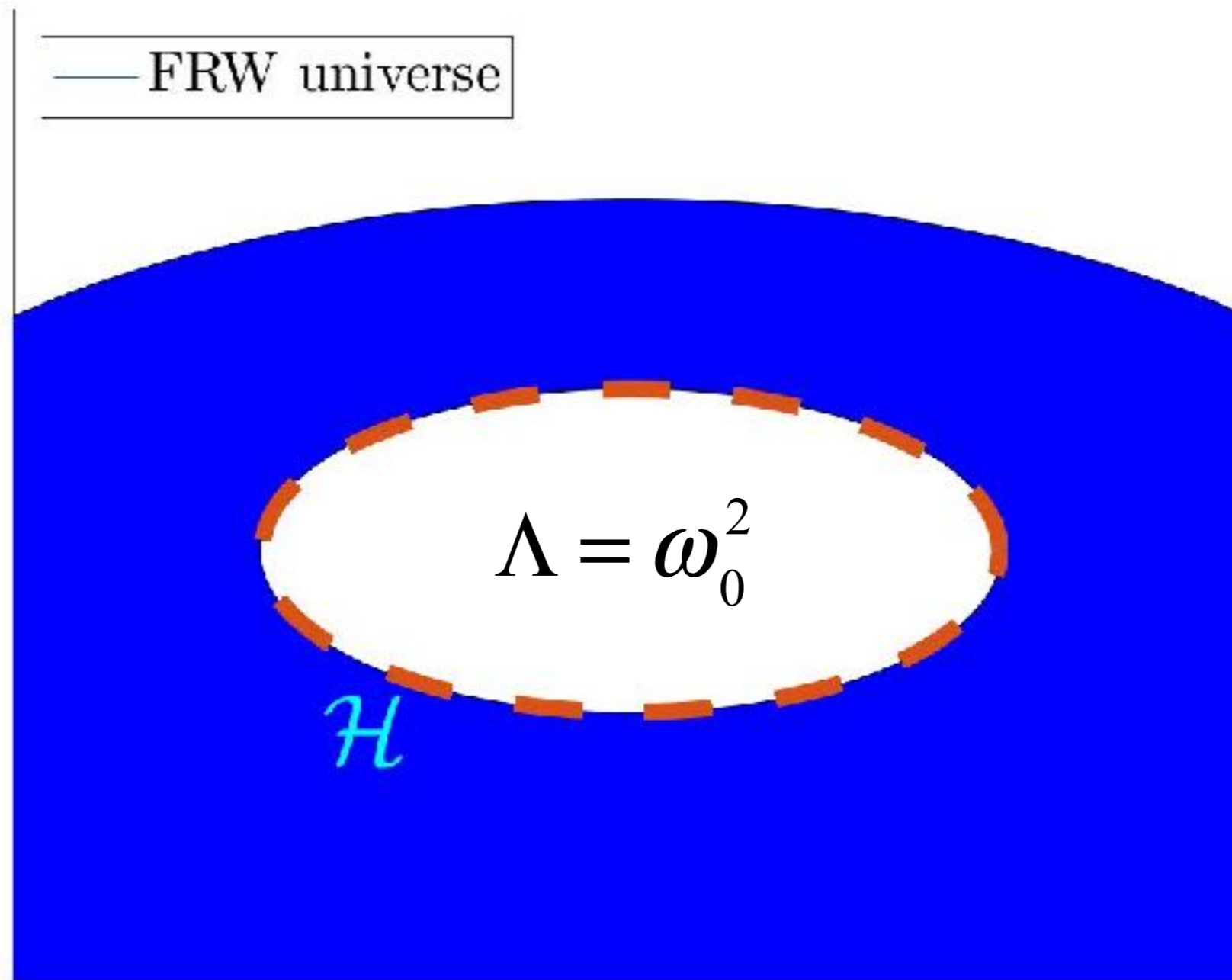
Equations of geodesic separation:

$$\omega_0 = \sqrt{1 - qH}$$

By Gauss-Bonnet, consequences for spacetime within:

$$\omega = \sqrt{\omega_0^2 + k^2} : \quad \Lambda = \omega_0^2$$

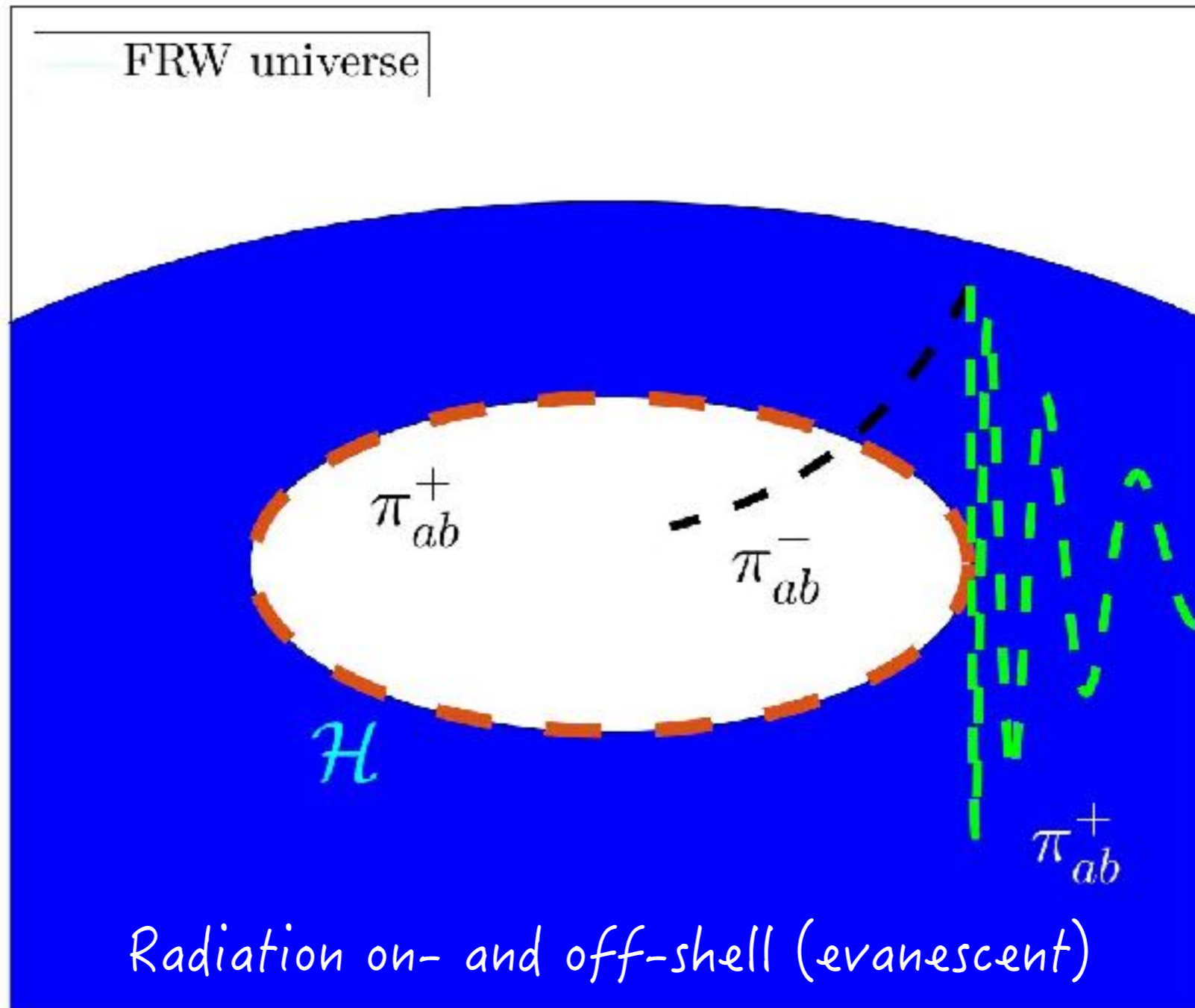
Cosmological vacuum



$$T_{ab} = (\rho + p)u_a u_b + pg_{ab} - \omega_0^2 g_{ab}$$

Evanescent DE and DM

Pick up nonzero trace by imaginary wave numbers at super-horizon scale wave lengths



$$T_{ab} = \rho_c \left[(1-q)\pi_{ab}^- + q\pi_{ab}^+ \right] \quad \pi_{ab}^\pm = \text{dia}\left(1, \pm\frac{1}{3}, \pm\frac{1}{3}, \pm\frac{1}{3}\right)$$

Canonical states of cosmology

q	State	$\rho_c^{-1} T_{ab}$
1	Radiation dominated	π_{ab}^+
1/2	Matter dominated	$u_a u_b$
0	Zero Hubble flow	π_{ab}^-
-1	de Sitter	$-\mathcal{g}_{ab}$

Exact solution

$$H(z) = H_0 \sqrt{1 + \omega_m \left(6z + 12z^2 + 12z^3 + 6z^4 + \frac{6}{5}z^5 \right)} (1+z)^{-1}$$

van Putten, 2017, ApJ, 848, 28

$$H_0 = H(0), \quad \omega_m = \Omega_m(0)$$

$$H'(0) = (3\omega_m - 1)H_0 \cong 0$$

$$q(z) = -1 + (1+z)H^{-1}(z)H'(z), \quad q_0 = q(0)$$

$$Q(z) = \frac{dq(z)}{dz}, \quad Q_0 = Q(0) = 3\omega_m(5 - 6\omega_m) \cong 2.8$$

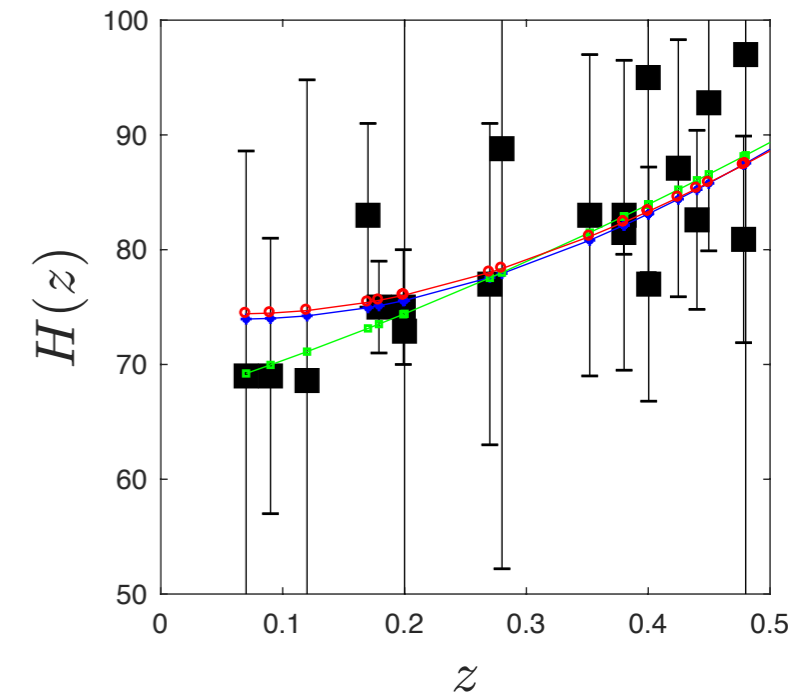
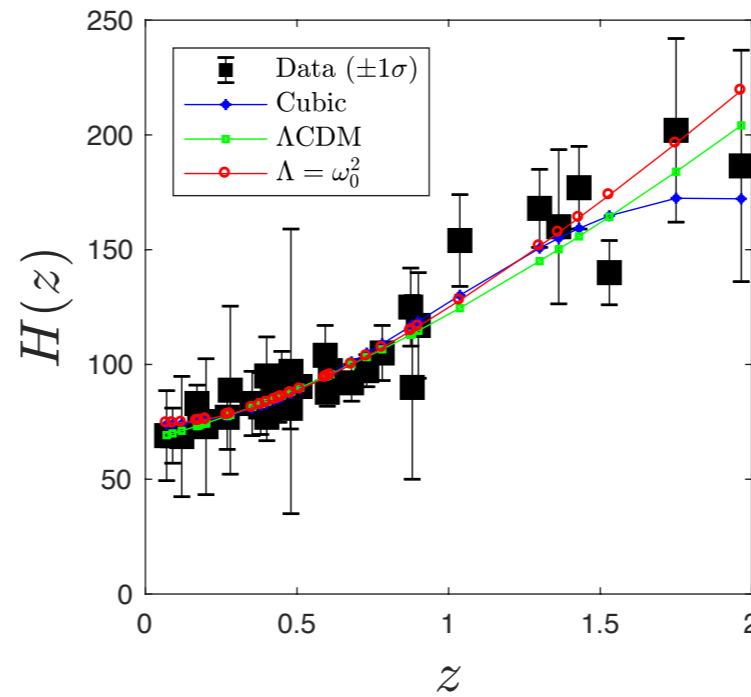
de Sitter state ($q=-1$) is unstable

Confrontation with data

Hubble Parameter vs. Redshift Data

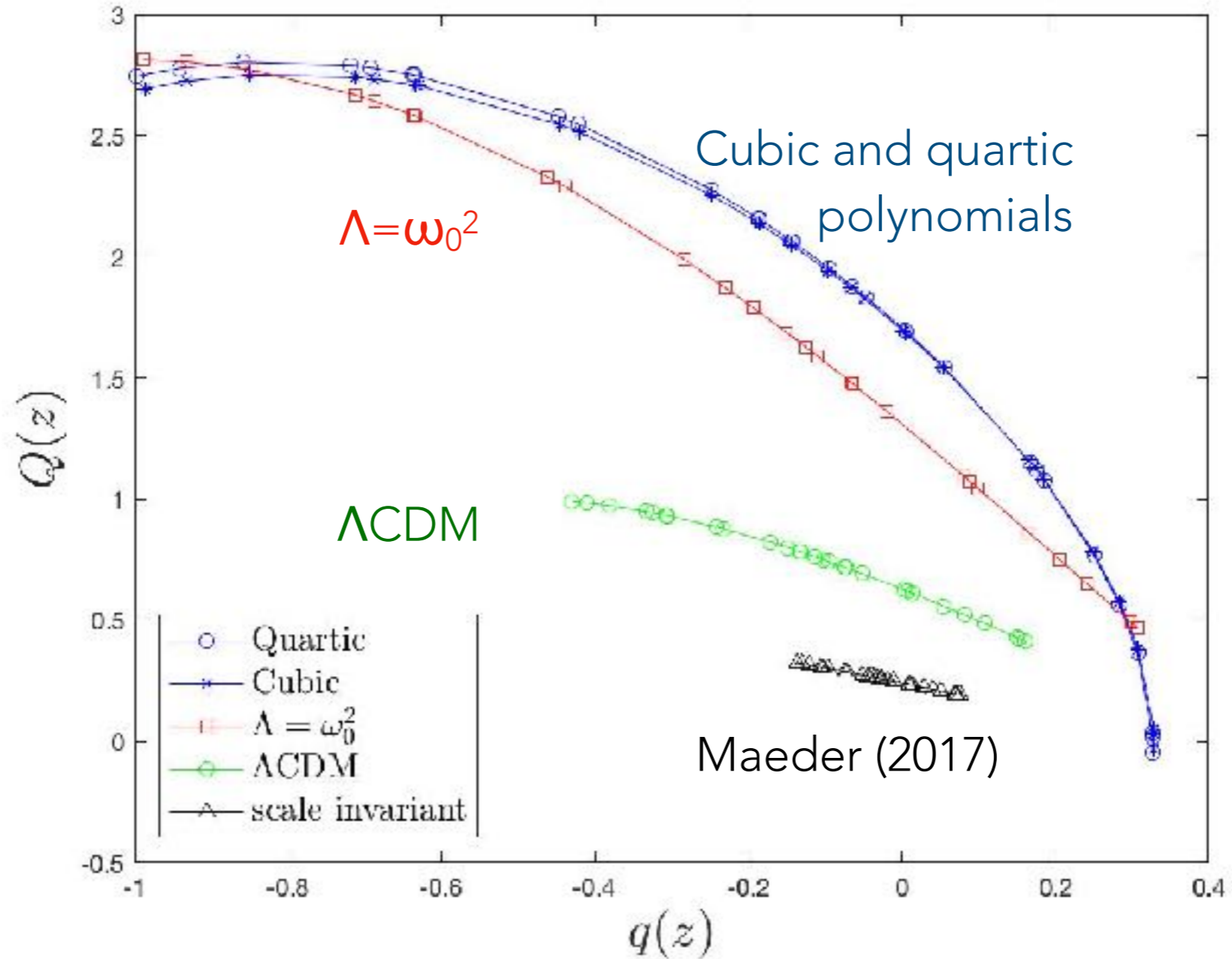
z	$H(z)$ ($\text{km s}^{-1} \text{Mpc}^{-1}$)	σ_H ($\text{km s}^{-1} \text{Mpc}^{-1}$)	Reference
0.070	69	19.6	5
0.090	69	12	1
0.120	68.6	26.2	5
0.170	83	8	1
0.179	75	4	3
0.199	75	5	3
0.200	72.9	29.6	5
0.270	77	14	1
0.280	88.8	36.6	5
0.352	83	14	3
0.380	81.5	1.9	10
0.3802	83	13.5	9
0.400	95	17	1
0.4004	77	10.2	9
0.4247	87.1	11.2	9
0.440	82.6	7.8	4
0.4497	92.8	12.9	9
0.4783	80.9	9	9
0.480	97	62	2
0.510	90.4	1.9	10
0.593	104	13	3
0.600	87.9	6.1	4
0.610	97.3	2.1	10
0.680	92	8	3
0.730	97.3	7	4
0.781	105	12	3
0.875	125	17	3
0.880	90	40	2
0.900	117	23	1
1.037	154	20	3
1.300	168	17	1
1.363	160	33.6	8
1.430	177	18	1
1.530	140	14	1
1.750	202	40	1
1.965	186.5	50.4	8
2.340	222	7	7
2.360	226	8	6

References. (1) Simon et al. 2005; (2) Stern et al. 2010; (3) Moresco et al. 2012; (4) Blake et al. 2012; (5) Zhang et al. 2012; (6) Font-Ribera et al. 2014; (7) Delubac et al. 2015; (8) Moresco 2015; (9) Moresco et al. 2016; (10) Alam et al. 2016.



Unbinned data compiled by Farooq et al. 2017

qQ-diagram



$$[H_0] = \text{km s}^{-1} \text{ Mpc}^{-1}$$

$\Lambda = \omega_0^2$:

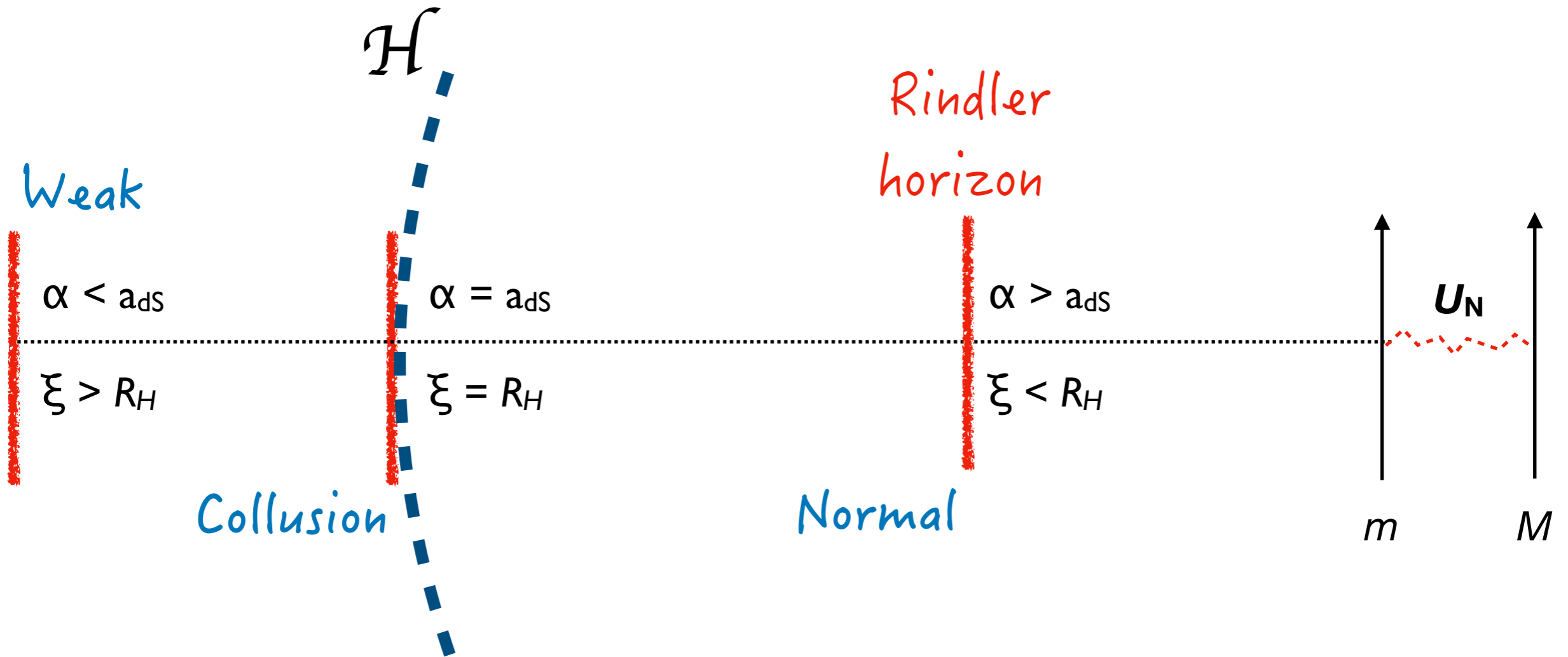
$$74.29 \pm 2.6$$

Anderson & Riess (2017):

$$73.06 \pm 1.76$$

GW17087 (Guidorzi et al. 2017):

$$75.5 \pm (11.6 / 9.6)$$



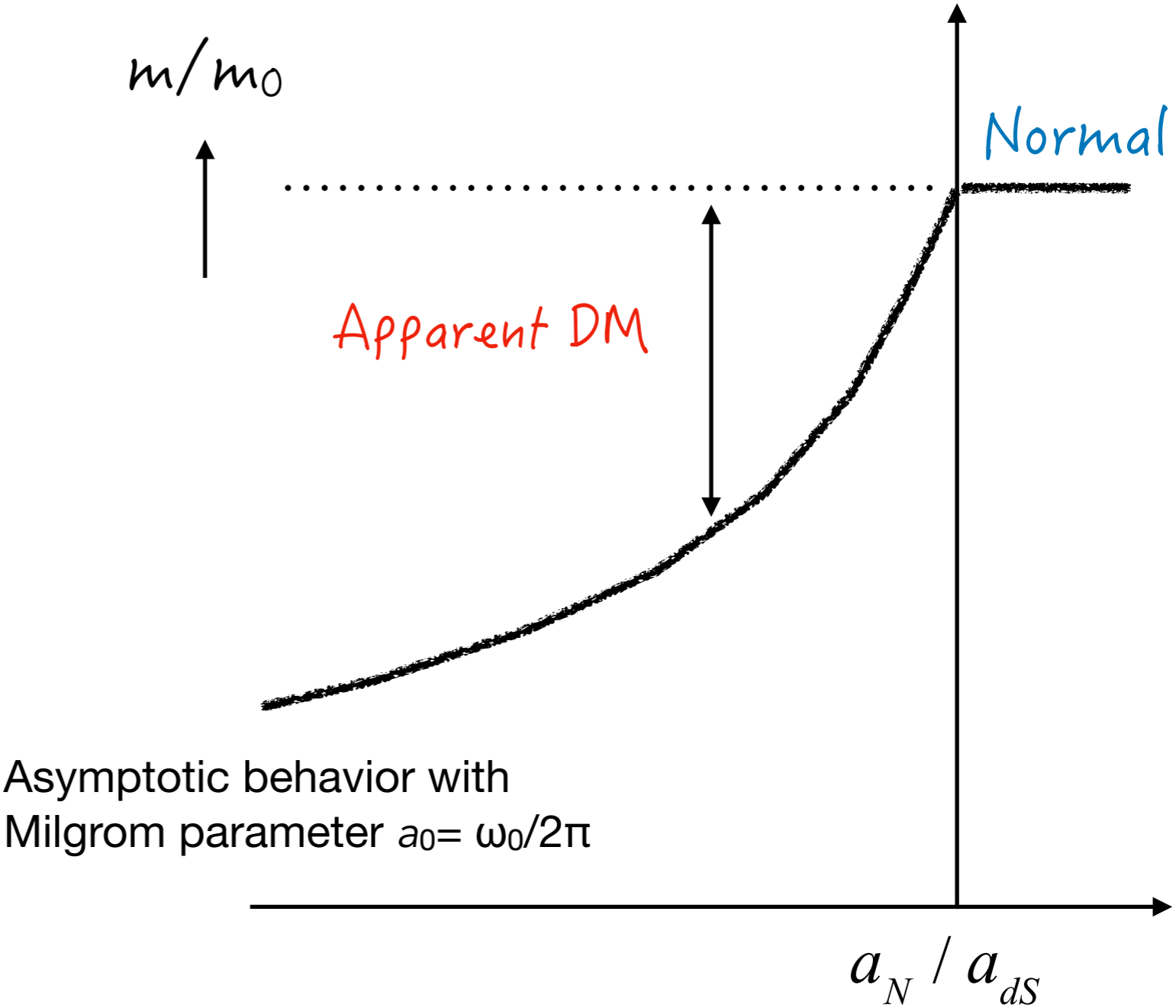
Entanglement entropy $I = 2\pi\phi_c$ in unitary holography: $U = -\int_0^\xi T_U dI = mc^2 \left(\xi = \frac{c^2}{\alpha}, \xi \geq R_H \right)$

Inertial mass-energy $U=mc^2$: gravitational binding energy to Rindler horizon or \mathcal{H} - whichever is more nearby

C⁰ galaxy dynamics

$$m\alpha = F_N = m_0 a_N$$

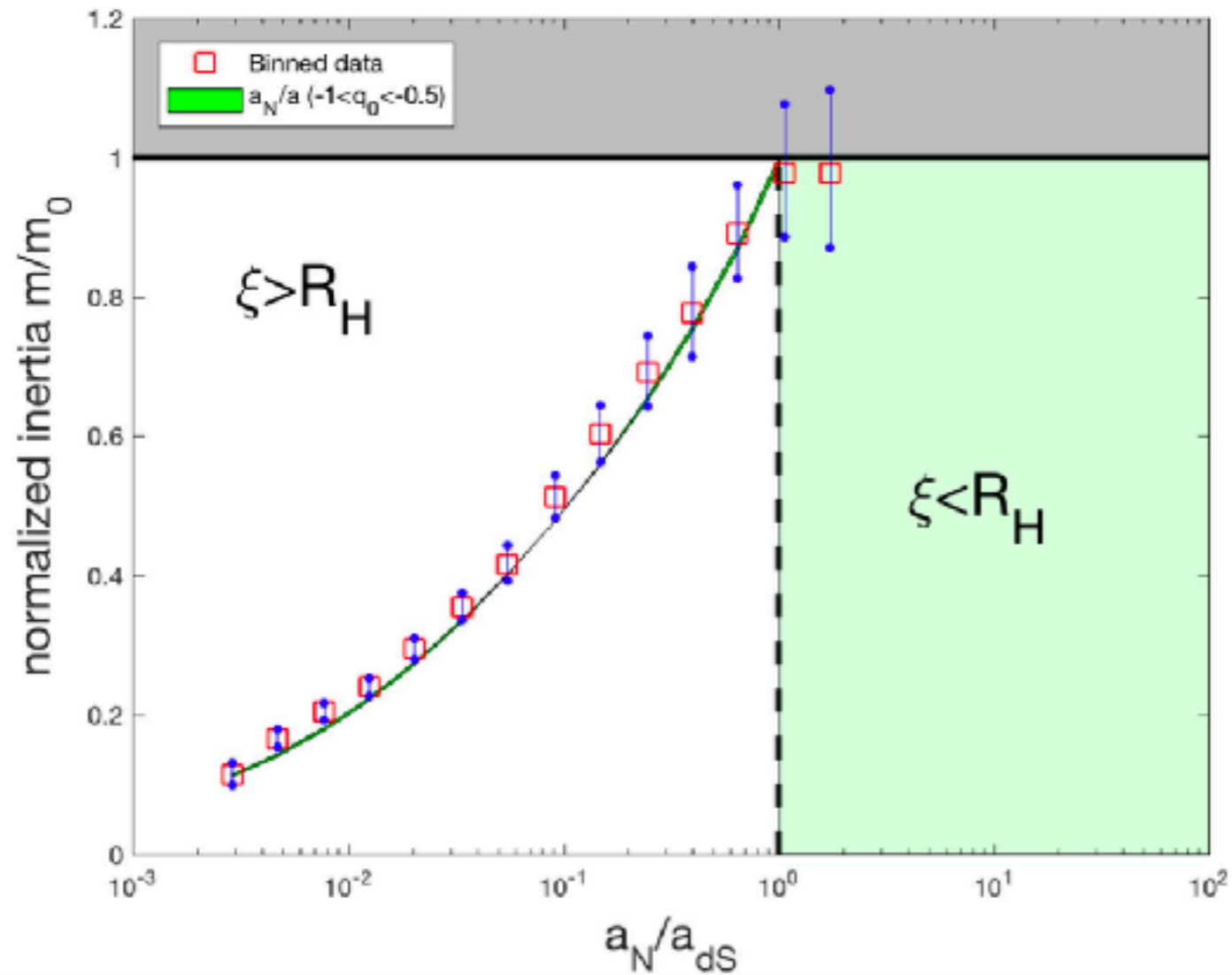
$$\frac{m}{m_0} = \frac{a_N}{\alpha} = \frac{V_b^2 / r}{V_c^2 / r}$$



Same E_k and U_N : invariant Lagrangian and Hamiltonian

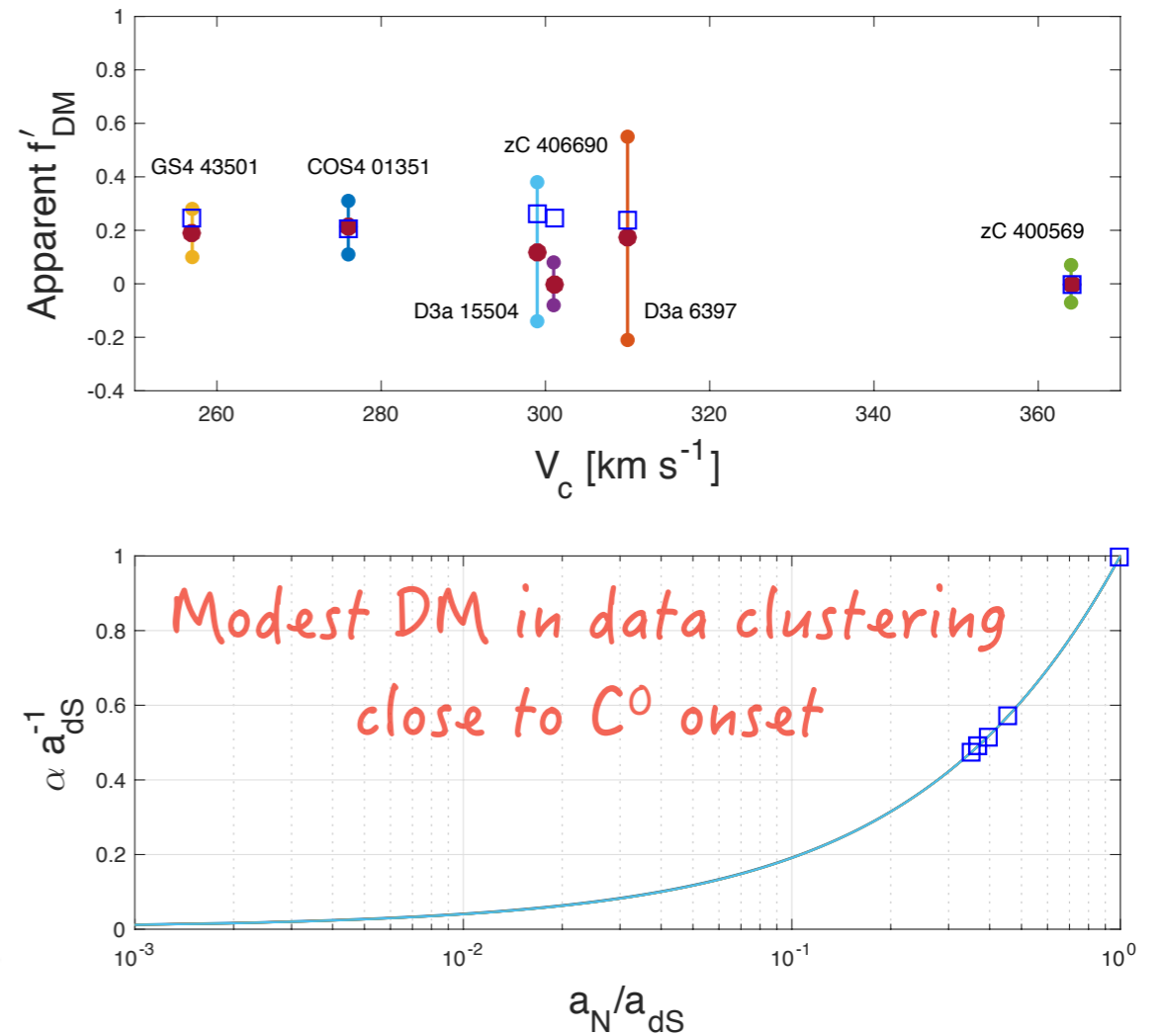
... over $0 < z < 2$

C^0 onset in data



$z \sim 0$ galaxies (Lellie et al. 2016)

Apparent DM fraction



$z \sim 2$ galaxies (Genzel et al. 2017)

Conclusions and Outlook

Evanescent DE and DM: super-horizon scale fluctuations $\sim \omega_0$:

- Tension-free $H_0 = 74.29 (2.6) \text{ km s}^{-1} \text{ Mpc}^{-1}$
- Observational consistency in qQ -diagram with polynomial fits to $H(z)$ data

C⁰ galaxy dynamics: reduced inertia at accelerations below a_{dS} :

- Apparent DM depend on distance to C^0 onset
- Observational agreement with galaxies over $0 < z < 2$

Left with DM concentrations in galaxy clusters with $m_{\text{DM}} < 10^{-30} \text{ eV}$