Multiple Representations of Selfie Numbers - I, **Zenodo**, 2024
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Multiple Representations of Selfie Numbers - I

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Abstract

*Numbers represented by their own digits by certain operations are considered as **selfie numbers**. There are many ways of representing **selfie numbers**. It can be represented in digit's order, reverse order of digits, increasing and/or decreasing order of digits, etc. These can be obtained by use of basis operations along with **factorial, square-root, Fibonacci sequence, Triangular numbers**, etc. Also we can use **binomial coefficients, quadratic (square), cubic functions**, etc. In the past author worked with these functions separately. For more details see the author's work.... This work is combined study of previous applied functions with different combinations. These are done using single, double, triple functions, etc. In this situation, instead of single representation, we have multiples representations.*

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1 Selfie Numbers

Few years back, the author studied different ways of expressing numbers in such a way that both sides are with same digits. One side is with number, and another side is an expression formed by same digits with some functions and operations. These types of numbers we call **selfie numbers**. In the past they were named as **wild narcissistic numbers** without use of any extra function. Let's sumarize below some of the known result done by the author.

1.1 Basic Operations

This subsection brings **selfie numbers** by use of **basic operations**. See below some examples:

$$\begin{aligned}
\mathbf{13825} &:= 1+(3\times 8)^{-2+5} && = ((5-2)\times 8)^3+1\\
\mathbf{14641} &:= (1+4+6)^4\times 1 && = (1+4+6)^4\times 1\\
\mathbf{15552} &:= (1^5+5)^5\times 2 && = 2\times(6^5+5)\times 1\\
\mathbf{16377} &:= (1+6-3)^7-7 && = -7+(7-3)^{6+1}\\
\mathbf{23328} &:= (2\times 3^3)^2\times 8 && = (8-2)^{3+3}/2\\
\mathbf{116565} &:= (-1+16)\times(-5+6^5) && = 5\times(3\times 6^{6-1}-1)\\
\mathbf{131072} &:= (1+3)^{1+0+7}\times 2 && = 2^{(7+0-1)\times 3-1}\\
\mathbf{147419} &:= -1+(4^7-4)\times 1\times 9 && = 9\times(1\times 4^7-4)-1\\
\mathbf{147429} &:= 1+(4^7-4/2)\times 9 && = 9\times(2+4^7-4-1)\\
\mathbf{147491} &:= 1\times(4^7+4)\times 9-1 && = 1\times 9\times(4^7+4)-1\\
\mathbf{156252} &:= 1\times 5^6\times 2\times 5+2 && = 2\times(5^{2\times 6-5}+1)
\end{aligned}$$

1.2 Factorial

This subsection brings **selfie numbers** with use of **factorial**. See below some examples:

$$\begin{aligned}
\mathbf{1463} &:= -1!+4!+6!+3!!\\
\mathbf{10077} &:= -1!-0!-0!+7!+7!\\
\mathbf{40585} &:= 4!+0!+5!+8!+5!\\
\mathbf{80518} &:= 8!-0!-5!-1!+8!\\
\mathbf{317489} &:= -3!-1!-7!-4!-8!+9!\\
\mathbf{352797} &:= -3!+5-2!-7!+9!-7!\\
\mathbf{357592} &:= -3!-5!-7!-5!+9!-2!\\
\mathbf{357941} &:= 3!+5!-7!+9!-4!-1!
\end{aligned}$$

$$\begin{aligned}
\mathbf{361469} &:= 3!-6!-1!+4!-6!+9!\\
\mathbf{364292} &:= 3!!+6!-4!-2!+9!-2!\\
\mathbf{397584} &:= -3!!+9!-7!+5!+8!+4!\\
\mathbf{398173} &:= 3!+9!+8!+1!-7!+3!\\
\mathbf{408937} &:= -4!+0!+8!+9!+3!!+7!\\
\mathbf{715799} &:= -7!-1!+5!-7!+9!+9!\\
\mathbf{720599} &:= -7!-2!+0!-5!+9!+9!
\end{aligned}$$

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$$\mathbf{145} := 1! + 4! + 5! \qquad \mathbf{363239} := 36 + 323 + 9!$$
$$\mathbf{733} := 7 + 3!! + 3! \qquad \mathbf{363269} := 363 + 26 + 9!$$
$$\mathbf{5177} := 5! + 17 + 7! \qquad \mathbf{403199} := 40319 + 9!$$

1.3 Square-Root

This subsection brings **selfie numbers** with use of **square-root**. See below some examples:

$$\begin{aligned}
\mathbf{936} &:= (\sqrt{9})!^3 + 6! && = 6! + (3!)^{\sqrt{9}} \\
\mathbf{1296} &:= \sqrt{(1+2)!^9/6} && = 6^{(\sqrt{9}+2-1)} \\
\mathbf{2896} &:= 2 \times (8 + (\sqrt{9})!! + 6!) && = (6! + (\sqrt{9})!! + 8) \times 2 \\
\mathbf{331779} &:= 3 + (31-7)^{\sqrt{7+9}} && = \sqrt{9} + (7 \times 7 - 1)^3 \times 3 \\
\mathbf{342995} &:= (3^4 - 2 - 9)^{\sqrt{9}} - 5 && = -5 + (-9 + 9^2 - \sqrt{4})^3 \\
\mathbf{759375} &:= (-7 + 59 - 37)^5 && = (5 + 7 + 3)^{\sqrt{9}-5+7} \\
\mathbf{759381} &:= 7 + (5 \times \sqrt{9})^{-3+8} - 1 && = -1 + (8 \times 3 - 9)^5 + 7.
\end{aligned}$$

First column numbers are in **digit's order** and second columns are in **reverse order of digits**. For more details refer [7]-[20].

1.4 Fibonacci Sequence

Fibonacci sequence numbers are well known in literature. This sequence is defined as

$$F(0) = 0, \quad F(1) = 1, \quad F(n+1) = F(n) + F(n-1), \quad n \geq 1.$$

Below are examples of **selfie numbers** by use of **Fibonacci sequence values**.

$$\mathbf{235} := 2 + F(F(F(3) + 5)) \qquad \mathbf{63} := 3 \times F(F(6))$$
$$\mathbf{256} := 2^5 \times F(6) \qquad \mathbf{882} := 2 \times F(8) \times F(8)$$
$$\mathbf{4427} := (F(4) + 4^2) \times F(F(7)) \qquad \mathbf{1631} := F(13) \times (6 + 1)$$
$$\mathbf{46493} := F(4 \times 6) + (-4 + 9)^3 \qquad \mathbf{54128} := 8 \times (F(2) + F(1 \times 4 \times 5))$$

First column values are in **digit's order** and the second columns values are in **reverse order of digits**. For more details see author's [21]-[32].

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1.5 Triangle Numbers

Triangular numbers are very much famous in the literature of mathematics. These are given by

$$1, 3, 6, 10, 15, 21, ...$$

The general formula to write these numbers is given by

$$T(n) = 1 + 2 + 3 + ... = \frac{n \times (n+1)}{2} = C(n+1, 2).$$

The letter "C" represents as **"binomial coefficient"**. The examples given in above subsections are with **factorial**, **square-root**, **Fibonacci sequence** numbers, etc. Still, one can have similar kind of results using **Triangular numbers**. See below:

$$\mathbf{1069} := T(10) - T(6) + T(T(9))$$
$$\mathbf{1081} := T(1 + T(08 + 1))$$
$$\mathbf{2887} := T(T(T(T(2)))) + T(T(8) + T(8)) + T(7)$$
$$\mathbf{4965} := T(-4 + 9) + T(-T(6) + T(T(5)))$$
$$\mathbf{4999} := 49 + T(99)$$
$$\mathbf{99545} := T(9) + T(9) \times T(T(T(5) - 4)) + 5$$
$$\mathbf{99546} := T(9) + T(9) \times T(T(T(5) - 4)) + 6$$

$$\mathbf{874} := T(T(T(4))) - T(T(7) + 8)$$
$$\mathbf{0105} := 50 + T(10)$$
$$\mathbf{1155} := -T(T(5)) + T(51 - 1)$$
$$\mathbf{1224} := T(T(T(4)) - T(T(2))) - 2 + 1$$
$$\mathbf{2418} := T(81) - T(42)$$
$$\mathbf{99632} := 2 + (3 + T(T(6) + T(9))) \times T(9)$$
$$\mathbf{99633} := 3 + (3 + T(T(6) + T(9))) \times T(9)$$

First column values are in **digit's order** and the second column values are in **reverse order of digits**. For more details see author's work [21]-[32].

1.6 Binomial Coefficients

The examples given in subsection 1.4 and 1.5 are with **Fibonacci sequence** and **Triangular numbers** respectively. Still, one can have similar kind of examples, using **Binomial coefficients**. See below some examples written in **both ways**, **digit's order** and **reverse order of digits**:

$$\mathbf{6435} := C(C(6,\ 4),\ 3 + 5) \quad = C(5 \times 3,\ \sqrt{4} + 6)$$
$$\mathbf{15504} := C(15 + 5,\ 0! + 4) \quad = C(4 \times 05,\ 5 \times 1)$$
$$\mathbf{42504} := C(4!,\ \sqrt{2 \times 50/4}) \quad = C(4!,\ -05 + 24)$$
$$\mathbf{54264} := C(5 + 4^2,\ C(6,\ 4)) \quad = C(4! - 6/2,\ (\sqrt{4+5})!)$$
$$\mathbf{74613} := C(7 \times 4 - 6,\ 1 \times 3!) \quad = C(3! + 16,\ (-4 + 7)!)$$

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$$\mathbf{12650} := C(-1+26,\ 5-0!) \qquad \mathbf{28} := C(8,\ 2)$$
$$\mathbf{12870} := C(1\times 2\times 8,\ 7+0!) \qquad \mathbf{792} := C(2\times(\sqrt{9})!,\ 7)$$
$$\mathbf{14950} := C(-1+4!+\sqrt{9},\ 5-0!) \qquad \mathbf{924} := C(4!/2,\ (\sqrt{9})!)$$
$$\mathbf{18564} := C(18,\ (5-6+4)!) \qquad \mathbf{2024} := C(4!,\ 2+(0\times 2)!)$$
$$\mathbf{19448} := C(19-\sqrt{4},\ \sqrt{4}+8) \qquad \mathbf{4845} := C(5\times 4,\ 8-4)$$
$$\mathbf{26334} := C(2+C(6,\ 3),\ 3+\sqrt{4}) \qquad \mathbf{00378} := C(C(8,\ \sqrt{7-3}),\ 0!+0!)$$
$$\mathbf{43758} := C(4!-3!,\ 7-5+8) \qquad \mathbf{00792} := C(2\times(\sqrt{9})!,\ 7-0!-0!)$$
$$\mathbf{53130} := C(5^{3-1},\ 3!-0!) \qquad \mathbf{00924} := C(4!/2,\ \sqrt{9}\times(0!+0!)).$$

The symbol C used for binomial coefficients is given by

$$C(m,\ r) = \frac{m!}{r!\times(m-r)!},\ m \geq r \geq 0,\ m,\ r \in \boldsymbol{N}.$$

Above numbers are in **digit's order**, **reverse order of digits** and in **both ways**. For more details refer [33, 34, 35, 36, 37].

1.7 Square-Type Selfies

The formula for **quadratic (square) numbers** is given by

$$\boldsymbol{Q(n)} := n^2,\ n > 0, n \in \boldsymbol{N}.$$

Below are some examples of **selfie numbers** with **square selfie numbers**. These are in **digit's order** and in**reverse order of digits**:

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$$\begin{aligned}
\mathbf{48} &:= -Q(4) + Q(8) & \mathbf{49} &:= Q((-(9) + Q(4))) \\
\mathbf{81} &:= Q(8+1) & \mathbf{89} &:= Q(9) + 8 \\
\mathbf{128} &:= 1 \times 2 \times Q(8) & \mathbf{224} &:= ((Q(4) - 2) \times Q(Q(2))) \\
\mathbf{292} &:= Q(Q(Q(2))) + 9 \times Q(2) & \mathbf{275} &:= Q(5) \times (7 + Q(2)) \\
\mathbf{1036} &:= 10^3 + Q(6) & \mathbf{0107} &:= 7 + Q(010) \\
\mathbf{1125} &:= Q(11 + Q(2)) \times 5 & \mathbf{0231} &:= -((Q(13) - Q(20))) \\
\mathbf{1729} &:= 1 \times 7 \times (Q(Q(Q(2))) - 9) & \mathbf{1257} &:= 7 + Q(Q(5)) \times 2 \times 1 \\
\mathbf{10025} &:= ((100^2) + Q(5)) & \mathbf{08136} &:= (Q(6) + Q((Q(3) + ((1 + 80))))) \\
\mathbf{99378} &:= (9 \times ((Q(93) + Q(Q(7))) - 8)) & \mathbf{37293} &:= (-(3) + ((((Q(Q(9)) - Q(Q(2))) - Q(Q(7))) \times Q(3)))
\end{aligned}$$

First column values are in **digit's order** and the second column values are in **reverse order of digits**. For more details see author's work [38]

1.8 Cubic-Type Selfies

The formula for **cubic numbers** is given by

$$\boldsymbol{C(n)} := n^3,\ n > 0, n \in \boldsymbol{N}.$$

Below are some examples of **selfie numbers** with **cubic selfie numbers**. These are in **digit's order** and in**reverse order of digits**:

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$$\mathbf{135} := 1 \times C(3) \times 5 \qquad \mathbf{135} := (5 \times C((3 \times 1)))$$
$$\mathbf{153} := 1 + C(5) + C(3) \qquad \mathbf{163} := ((C(3) \times 6) + 1)$$
$$\mathbf{1625} := ((1 + (6 \times 2)) \times C(5)) \qquad \mathbf{1499} := ((C(9) + C(9)) + 41)$$
$$\mathbf{1657} := ((16 \times C(5)) - C(7)) \qquad \mathbf{1512} := ((C(2) - 1) \times C((5 + 1)))$$
$$\mathbf{1664} := (C(((1 \times 6) + 6)) - C(4)) \qquad \mathbf{1533} := (3 \times (C((3 + 5)) - 1))$$
$$\mathbf{10728} := (((C(10) + C(7)) - 2) \times 8) \qquad \mathbf{05529} := -(((C(9) - C(2)) + (C(5) \times (-50))))$$
$$\mathbf{10744} := ((C(10) + C(7)) \times (4 + 4)) \qquad \mathbf{05697} := ((-(7) \times C(9)) + (C(6) \times 50))$$
$$\mathbf{24356} := (2 \times (C((-(4) + C(3))) + (5 + 6))) \qquad \mathbf{36274} := (((-(4) + C(7)) - 2) + C((6 + C(3))))$$
$$\mathbf{24357} := ((C(2) \times (-4)) + C((C(3) - ((5 - 7))))) \qquad \mathbf{36276} := (((-(6) + C(7)) + 2) + C((6 + C(3))))$$

First column values are in **digit's order** and the second column values are in **reverse order of digits**. For more details see author's work [39]

This work brings multiple representations of **selfie numbers**. The is obtained by using together the functions **Fibonacci, Triangular, Square Cubic numbers**. Along with basic operations **factorial** and **square-root** are also applied. This work is limited up to three digits numbers. Four digits onwards results are given in further parts.

2 Multiple Representations of Selfie Numbers

This section brings **multiples representations of selfie numbers** having functions such as, **Square, Cubic, Triangular** and **Fibonacci**. Also it includes operations such as, **square-root, factorial**, etc. By multiple representations we understand that there are more than one values instead of single representation. This work is only up to three digits numbers. Four digits onwards shall be given in second part of this work.

$$\mathbf{10} := T\left(Q\left(1 + 0!\right)\right)$$

$$\mathbf{13} := F\left(1 + 3!\right)$$
$$\mathbf{13} := F\left(1 + T\left(3\right)\right)$$

$$\mathbf{15} := T\left(1 \times 5\right)$$

$$\mathbf{16} := Q\left(Q\left(F\left(\sqrt{1 + F\left(6\right)}\right)\right)\right)$$

$$\mathbf{20} := F\left(C\left(2\right)\right) - 0!$$
$$\mathbf{20} := F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right) - 0!$$
$$\mathbf{20} := T\left(T\left(T\left(2\right)\right)\right) - 0!$$

$$\mathbf{21} := F\left(C\left(2 \times 1\right)\right)$$
$$\mathbf{21} := F\left(F\left((2 + 1)!\right)\right)$$
$$\mathbf{21} := T\left(T\left(2 + 1\right)\right)$$

$$\mathbf{22} := F\left(2\right) + F\left(C\left(2\right)\right)$$
$$\mathbf{22} := F\left(2\right) + T\left(T\left(T\left(2\right)\right)\right)$$

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$\mathbf{22} := Q\,(2)! - 2$
$\mathbf{22} := T\,(T\,(2)) + Q\,(Q\,(2))$

$\mathbf{23} := 2 + F\,(F\,(3!))$
$\mathbf{23} := 2 + T\,(T\,(3))$
$\mathbf{23} := F\,(C\,(2)) + F\,(3)$
$\mathbf{23} := Q\,(2)! - F\,(F\,(3))$
$\mathbf{23} := -Q\,(2) + C\,(3)$

$\mathbf{24} := \left(\sqrt{2^4}\right)!$
$\mathbf{24} := (C\,(2) - 4)!$
$\mathbf{24} := \sqrt{C\,(C\,(2)) + C\,(4)}$
$\mathbf{24} := T\,(T\,(2)) \times 4$
$\mathbf{24} := C\,(2) \times F\,(4)$
$\mathbf{24} := C\,(2) + Q\,(4)$
$\mathbf{24} := F\,(2) \times 4!$
$\mathbf{24} := Q\,(-2 + 4)!$

$\mathbf{25} := F\,(2) \times Q\,(5)$
$\mathbf{25} := T\,(Q\,(2)) + T\,(5)$

$\mathbf{26} := \sqrt{T\,(Q\,(2)) + T\,(Q\,(6))}$
$\mathbf{26} := F\,(Q\,(F\,(Q\,(2)))) - F\,(6)$

$\mathbf{27} := C\left(\sqrt{2+7}\right)$
$\mathbf{27} := -F\,(2) + T\,(7)$
$\mathbf{27} := F\,(Q\,(F\,(Q\,(2)))) - 7$
$\mathbf{27} := T\,(T\,(Q\,(2))) - T\,(7)$

$\mathbf{28} := -C\,(2) + T\,(8)$
$\mathbf{28} := Q\,(F\,(Q\,(2))!) - 8$
$\mathbf{28} := Q\,(T\,(T\,(2))) - 8$
$\mathbf{28} := T\,(-F\,(2) + 8)$

$\mathbf{29} := 2 + \sqrt{C\,(9)}$
$\mathbf{29} := 2 + C\left(\sqrt{9}\right)$
$\mathbf{29} := F\,(F\,(Q\,(2))!) + F\left(F\left(\left(\sqrt{9}\right)!\right)\right)$
$\mathbf{29} := F\,(T\,(T\,(2))) + T\left(T\left(\sqrt{9}\right)\right)$
$\mathbf{29} := -Q\,(Q\,(2)) + T\,(9)$

$\mathbf{32} := \sqrt{F\,(3) \times C\,(C\,(2))}$
$\mathbf{32} := F\,(3) \times Q\,(Q\,(2))$
$\mathbf{32} := Q\,(3!) - Q\,(2)$
$\mathbf{32} := Q\,(T\,(3)) - Q\,(2)$

$\mathbf{33} := C\,(3) + 3!$
$\mathbf{33} := C\,(3) + T\,(3)$
$\mathbf{33} := F\,(Q\,(3)) - F\,(F\,(3))$
$\mathbf{33} := Q\,(3!) - 3$
$\mathbf{33} := Q\,(T\,(3)) - 3$
$\mathbf{33} := T\,(F\,(T\,(3))) - 3$

$\mathbf{34} := F\left(\sqrt{3^4}\right)$
$\mathbf{34} := F\,(3 \times F\,(4))$
$\mathbf{34} := Q\,(3!) - \sqrt{4}$
$\mathbf{34} := Q\,(T\,(3)) - \sqrt{4}$
$\mathbf{34} := -T\,(T\,(3)) + T\,(T\,(4))$

$\mathbf{35} := T\,(Q\,(F\,(3))) + Q\,(5)$

$\mathbf{36} := 3! \times 6$
$\mathbf{36} := T\,(3) \times 6$

$\mathbf{37} := Q\,(3) + T\,(7)$

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$\mathbf{37} := Q\left(F\left(3\right)\right)! + F\left(7\right)$

$\mathbf{38} := F\left(3\right) + T\left(8\right)$

$\mathbf{39} := Q\left(3!\right) + \sqrt{9}$
$\mathbf{39} := -T\left(3\right) + T\left(9\right)$

$\mathbf{42} := \sqrt{4} \times F\left(C\left(2\right)\right)$
$\mathbf{42} := \sqrt{4} \times T\left(T\left(T\left(2\right)\right)\right)$
$\mathbf{42} := F\left(F\left(F\left(4\right)!\right)\right) \times 2$
$\mathbf{42} := F\left(F\left(4\right)\right) \times T\left(T\left(T\left(2\right)\right)\right)$
$\mathbf{42} := Q\left(F\left(4\right)!\right) + F\left(Q\left(2\right)\right)!$

$\mathbf{43} := -\sqrt{4} + T\left(Q\left(3\right)\right)$
$\mathbf{43} := C\left(4\right) - F\left(C\left(F\left(3\right)\right)\right)$
$\mathbf{43} := C\left(4\right) - T\left(T\left(3\right)\right)$
$\mathbf{43} := Q\left(4\right) + C\left(3\right)$
$\mathbf{43} := Q\left(F\left(4\right)\right) + F\left(Q\left(3\right)\right)$

$\mathbf{44} := \sqrt{C\left(4\right)} + Q\left(F\left(4\right)!\right)$
$\mathbf{44} := \sqrt{C\left(4\right)} + T\left(\sqrt{C\left(4\right)}\right)$
$\mathbf{44} := F\left(F\left(4\right)!\right) + Q\left(F\left(4\right)!\right)$
$\mathbf{44} := F\left(T\left(F\left(4\right)\right)\right) + T\left(F\left(T\left(F\left(4\right)\right)\right)\right)$
$\mathbf{44} := T\left(4!\right) - Q\left(Q\left(4\right)\right)$

$\mathbf{45} := Q\left(F\left(4\right)\right) \times 5$
$\mathbf{45} := T\left(4 + 5\right)$

$\mathbf{46} := T\left(4\right) + Q\left(6\right)$
$\mathbf{46} := T\left(4\right) + T\left(F\left(6\right)\right)$

$\mathbf{47} := -\sqrt{4} + Q\left(7\right)$

$\mathbf{48} := \sqrt{C\left(4\right) \times T\left(8\right)}$
$\mathbf{48} := F\left(4\right)! \times 8$
$\mathbf{48} := T\left(F\left(4\right)\right) \times 8$
$\mathbf{48} := T\left(T\left(\sqrt{4}\right)\right) \times 8$
$\mathbf{48} := -Q\left(4\right) + Q\left(8\right)$

$\mathbf{49} := 4 + T\left(9\right)$
$\mathbf{49} := Q\left(Q\left(4\right) - 9\right)$

$\mathbf{52} := Q\left(5\right) + C\left(F\left(Q\left(2\right)\right)\right)$
$\mathbf{52} := Q\left(5\right) + C\left(T\left(2\right)\right)$

$\mathbf{53} := -T\left(Q\left(5\right)\right) + T\left(C\left(3\right)\right)$

$\mathbf{54} := C\left(T\left(5\right)\right) - T\left(Q\left(Q\left(F\left(4\right)\right)\right)\right)$
$\mathbf{54} := C\left(T\left(5\right)\right) - T\left(Q\left(Q\left(T\left(\sqrt{4}\right)\right)\right)\right)$

$\mathbf{55} := F\left(5 + 5\right)$
$\mathbf{55} := T\left(5 + 5\right)$

$\mathbf{56} := 5! - Q\left(F\left(6\right)\right)$
$\mathbf{56} := -F\left(T\left(5\right)\right) + T\left(T\left(F\left(6\right)\right)\right)$

$\mathbf{59} := Q\left(5\right) + F\left(9\right)$

$\mathbf{62} := Q\left(F\left(6\right)\right) - 2$

$\mathbf{63} := F\left(F\left(6\right)\right) \times 3$
$\mathbf{63} := T\left(6\right) \times 3$

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$\mathbf{63} := Q(6) + C(3)$
$\mathbf{63} := Q(F(6)) - F(F(3))$

$\mathbf{64} := C\left(6 - \sqrt{4}\right)$
$\mathbf{64} := C(-6 + T(4))$
$\mathbf{64} := C(Q(6 - 4))$
$\mathbf{64} := F(6)^{\sqrt{4}}$
$\mathbf{64} := F(6)^{F(F(4))}$
$\mathbf{64} := Q\left(6 + \sqrt{4}\right)$

$\mathbf{66} := T(T(T(6))/T(6))$

$\mathbf{69} := -T(T(6)) + T\left(Q\left(F\left(\sqrt{9}\right)\right)!\right)$

$\mathbf{71} := \sqrt{7! + 1}$

$\mathbf{72} := -T(7) + Q(T(Q(2)))$

$\mathbf{73} := Q(7) + Q(F(3))!$
$\mathbf{73} := T(7) + T(Q(3))$

$\mathbf{74} := -7 + Q(Q(F(4)))$
$\mathbf{74} := -7 + Q\left(Q\left(T\left(\sqrt{4}\right)\right)\right)$

$\mathbf{77} := Q(7) + T(7)$

$\mathbf{78} := F(7) \times \sqrt{T(8)}$

$\mathbf{81} := Q(8 + 1)$

$\mathbf{83} := -C(8) + T(F(Q(3)))$

$\mathbf{84} := F(8) \times 4$
$\mathbf{84} := T\left(\sqrt{T(8)}\right) \times 4$

$\mathbf{89} := 8 + Q(9)$
$\mathbf{89} := F\left(8 + \sqrt{9}\right)$

$\mathbf{91} := T\left(F\left(T\left(\sqrt{9}\right) + 1\right)\right)$

$\mathbf{92} := -C\left(F\left(\sqrt{9}\right)\right) + Q(T(Q(2)))$
$\mathbf{92} := -F\left(T\left(\sqrt{9}\right)\right) + Q(T(Q(2)))$

$\mathbf{94} := -T\left(\sqrt{9}\right) + Q(T(4))$

$\mathbf{95} := \left(\sqrt{9}\right)!! - Q(Q(5))$
$\mathbf{95} := T\left(\sqrt{9}\right)! - Q(Q(5))$

$\mathbf{96} := \sqrt{-T(9) + C(T(6))}$
$\mathbf{96} := Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right) \times 6$

$\mathbf{97} := T\left(\sqrt{9}\right) + T(F(7))$

$\mathbf{98} := F(9) + Q(8)$

$\mathbf{99} := -F\left(F\left(\sqrt{9}\right)\right) + Q\left(T\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right)$

$\mathbf{100} := Q(10) + 0$

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$\mathbf{101} := Q(10) + 1$

$\mathbf{102} := Q(10) + 2$

$\mathbf{103} := Q(10) + 3$

$\mathbf{104} := Q(10) + 4$

$\mathbf{105} := F(C(1 + 0!)) \times 5$
$\mathbf{105} := Q(10) + 5$
$\mathbf{105} := T(-1 + T(05))$

$\mathbf{106} := Q(10) + 6$

$\mathbf{107} := Q(10) + 7$

$\mathbf{108} := Q(10) + 8$
$\mathbf{108} := T(1 + 0!) \times T(8)$

$\mathbf{109} := Q(10) + 9$

$\mathbf{112} := Q(11) - Q(F(Q(2)))$
$\mathbf{112} := Q(11) - Q(T(2))$

$\mathbf{113} := Q(11) - C(F(3))$
$\mathbf{113} := Q(11) - F(3!)$
$\mathbf{113} := Q(11) - F(T(3))$

$\mathbf{115} := Q(T(Q(1 + 1))) + T(5)$
$\mathbf{115} := -T(Q(1 + 1)) + C(5)$

$\mathbf{116} := -Q(T(Q(1 + 1))) + C(6)$

$\mathbf{117} := F(11) + T(7)$
$\mathbf{117} := Q(F(Q(1 + 1))) \times F(7)$

$\mathbf{119} := -1 + \left(-1 + \left(\sqrt{9}\right)!\right)!$
$\mathbf{119} := -1 + \left(-1 + T\left(\sqrt{9}\right)\right)!$
$\mathbf{119} := -1 + T\left(T\left(-1 + T\left(\sqrt{9}\right)\right)\right)$
$\mathbf{119} := Q(11) - F\left(\sqrt{9}\right)$

$\mathbf{120} := ((1 + 2)! - 0!)!$
$\mathbf{120} := (1 + Q(2))! + 0$
$\mathbf{120} := (1 + T(2) + 0!)!$
$\mathbf{120} := T(T(-1 + T(T(2)))) + 0$

$\mathbf{121} := (1 + Q(2))! + 1$
$\mathbf{121} := Q(12 - 1)$
$\mathbf{121} := T(T(-1 + T(T(2)))) + 1$

$\mathbf{122} := (1 + Q(2))! + 2$
$\mathbf{122} := 1 + Q(C(2) + T(2))$
$\mathbf{122} := T(T(-1 + T(T(2)))) + 2$

$\mathbf{123} := (1 + Q(2))! + 3$
$\mathbf{123} := F(12) - F(C(F(3)))$
$\mathbf{123} := F(12) - F(F(3!))$
$\mathbf{123} := F(12) - T(T(3))$
$\mathbf{123} := Q(12) - T(T(3))$

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$\mathbf{123} := T\left(T\left(-1+T\left(T\left(2\right)\right)\right)\right)+3$

$\mathbf{124} := \left(1+Q\left(2\right)\right)!+4$
$\mathbf{124} := -1+C\left(C\left(2\right)-F\left(4\right)\right)$
$\mathbf{124} := -1+C\left(F\left(2\right)+4\right)$
$\mathbf{124} := -1+C\left(T\left(2\right)+\sqrt{4}\right)$
$\mathbf{124} := Q\left(1\times 2\right)!+Q\left(T\left(4\right)\right)$
$\mathbf{124} := T\left(T\left(-1+T\left(T\left(2\right)\right)\right)\right)+4$

$\mathbf{125} := \left(1+Q\left(2\right)\right)!+5$
$\mathbf{125} := C\left(1^2\times 5\right)$
$\mathbf{125} := T\left(T\left(-1+T\left(T\left(2\right)\right)\right)\right)+5$

$\mathbf{126} := \left(1+2\right)!\times F\left(F\left(6\right)\right)$
$\mathbf{126} := \left(1+Q\left(2\right)\right)!+6$
$\mathbf{126} := T\left(T\left(-1+T\left(T\left(2\right)\right)\right)\right)+6$

$\mathbf{127} := -1+2^7$
$\mathbf{127} := \left(1+Q\left(2\right)\right)!+7$
$\mathbf{127} := T\left(T\left(-1+T\left(T\left(2\right)\right)\right)\right)+7$

$\mathbf{128} := \left(1+Q\left(2\right)\right)!+8$
$\mathbf{128} := 1\times 2\times Q\left(8\right)$
$\mathbf{128} := T\left(T\left(-1+T\left(T\left(2\right)\right)\right)\right)+8$

$\mathbf{129} := \left(1+Q\left(2\right)\right)!+9$
$\mathbf{129} := T\left(T\left(-1+T\left(T\left(2\right)\right)\right)\right)+9$

$\mathbf{132} := \left(-1+F\left(Q\left(3\right)\right)\right)\times Q\left(2\right)$
$\mathbf{132} := \left(1+T\left(T\left(3\right)\right)\right)\times T\left(T\left(2\right)\right)$

$\mathbf{133} := C\left(-1+3!\right)+C\left(F\left(3\right)\right)$
$\mathbf{133} := C\left(-1+T\left(3\right)\right)+C\left(F\left(3\right)\right)$
$\mathbf{133} := Q\left(13\right)-Q\left(3!\right)$
$\mathbf{133} := T\left(Q\left(1+3\right)\right)-3$

$\mathbf{134} := \sqrt{C\left(C\left(1+3\right)\right)}-T\left(C\left(F\left(4\right)\right)\right)$
$\mathbf{134} := C\left(-1+3!\right)+Q\left(F\left(4\right)\right)$
$\mathbf{134} := F\left(Q\left(1\times 3\right)\right)+Q\left(T\left(4\right)\right)$
$\mathbf{134} := Q\left(1+Q\left(3\right)\right)+F\left(Q\left(F\left(4\right)\right)\right)$
$\mathbf{134} := -T\left(C\left(1\times 3\right)\right)+\sqrt{C\left(C\left(4\right)\right)}$
$\mathbf{134} := T\left(Q\left(1+3\right)\right)-\sqrt{4}$

$\mathbf{135} := \left(1+F\left(T\left(3\right)\right)\right)\times T\left(5\right)$
$\mathbf{135} := 1+Q\left(3\right)+C\left(5\right)$
$\mathbf{135} := -1+Q\left(Q\left(F\left(3\right)\right)\right)+5!$
$\mathbf{135} := C\left(1\times 3\right)\times 5$
$\mathbf{135} := Q\left(1\times 3\right)\times T\left(5\right)$
$\mathbf{135} := T\left(1+3\right)+C\left(5\right)$
$\mathbf{135} := T\left(-1+T\left(3\right)\right)+5!$
$\mathbf{135} := T\left(-1+T\left(3\right)\right)+T\left(T\left(5\right)\right)$

$\mathbf{136} := Q\left(1+Q\left(3\right)\right)+Q\left(6\right)$
$\mathbf{136} := T\left(F\left(1\times 3\right)\times F\left(6\right)\right)$
$\mathbf{136} := T\left(Q\left(1-3+6\right)\right)$
$\mathbf{136} := T\left(T\left(1+3\right)+6\right)$

$\mathbf{137} := 1+T\left(3+F\left(7\right)\right)$
$\mathbf{137} := 1+T\left(Q\left(3\right)+7\right)$

$\mathbf{138} := \left(-1+Q\left(F\left(3\right)\right)!\right)\times\sqrt{T\left(8\right)}$

$\mathbf{139} := -1+Q\left(Q\left(3!\right)\right)-Q\left(F\left(9\right)\right)$

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$\mathbf{139} := T(Q(1+3)) + \sqrt{9}$

$\mathbf{142} := -F(1+T(4)) + T(F(C(2)))$
$\mathbf{142} := -F(1+T(4)) + T(T(T(T(2))))$
$\mathbf{142} := Q(1+T(4)) + F(C(2))$
$\mathbf{142} := Q(F(1+F(4)!)) - C(F(Q(2)))$
$\mathbf{142} := T(Q(1\times 4)) + T(T(2))$

$\mathbf{143} := -1 + 4! \times 3!$
$\mathbf{143} := -1 + 4! \times T(3)$
$\mathbf{143} := -1 + F(4\times 3)$
$\mathbf{143} := -1 + Q(4\times 3)$

$\mathbf{144} := (1+4)! + 4!$
$\mathbf{144} := (-1+T(4)) \times Q(4)$
$\mathbf{144} := F((-1+4)\times 4)$
$\mathbf{144} := Q((-1+4)\times 4)$

$\mathbf{145} := 1 + 4! + 5!$
$\mathbf{145} := 1 + F(-F(4) + T(5))$
$\mathbf{145} := Q(1+4) + 5!$

$\mathbf{146} := 1 + Q(Q(F(4))) + Q(F(6))$
$\mathbf{146} := C(1+4) + F(F(6))$
$\mathbf{146} := C(1+4) + T(6)$
$\mathbf{146} := F(14) - T(T(6))$

$\mathbf{147} := -(1-4) \times Q(7)$
$\mathbf{147} := (-F(F((F(1\times 4))!))) \times (-7)$
$\mathbf{147} := \sqrt{(-1+C(4)) \times C(7)}$
$\mathbf{147} := 1 + F(T(4)) + T(F(7))$
$\mathbf{147} := T(T(-1+4)) \times 7$
$\mathbf{147} := F(1\times 4) \times Q(7)$

$\mathbf{148} := 1 + T(C(F(4))) - T(F(8))$
$\mathbf{148} := 1 + T\left(C\left(T\left(\sqrt{4}\right)\right)\right) - T\left(T\left(\sqrt{T(8)}\right)\right)$
$\mathbf{148} := 1 + T\left(C\left(T\left(\sqrt{4}\right)\right)\right) - T\left(T\left(\sqrt{T(8)}\right)\right)$
$\mathbf{148} := Q(F(1+F(4)!)) - F(8)$
$\mathbf{148} := Q(F(1+T(F(4)))) - F(8)$

$\mathbf{149} := -1 + T(4!)\,/F\left(\sqrt{9}\right)$
$\mathbf{149} := -1 - Q\left(Q\left(T\left(\sqrt{4}\right)\right)\right) + T\left(T\left(T\left(\sqrt{9}\right)\right)\right)$
$\mathbf{149} := C(1+4) + Q\left(F\left(\sqrt{9}\right)\right)!$

$\mathbf{152} := -1 + T(T(5)+2)$
$\mathbf{152} := C(1+5) - Q(C(2))$

$\mathbf{153} := -1 + 5! + F(Q(3))$
$\mathbf{153} := 1 + C(5) + C(3)$
$\mathbf{153} := T(-1+T(5)+3)$
$\mathbf{153} := T(F(1+5) + Q(3))$

$\mathbf{154} := 1 + T\left(T(5) + \sqrt{4}\right)$
$\mathbf{154} := 1 + T(T(5) + F(F(4)))$
$\mathbf{154} := 1\times 5! + F(Q(F(4)))$
$\mathbf{154} := T(T(T(-1+5)))\,/T(4)$

$\mathbf{156} := (1+Q(5)) \times 6$
$\mathbf{156} := 1\times 5! + T(F(6))$
$\mathbf{156} := T(15) + T(F(6))$

$\mathbf{157} := 1 + T(Q(5)) - Q(F(7))$
$\mathbf{157} := T\left(\sqrt{1+5!}\right) + T(F(7))$
$\mathbf{157} := T\left(\sqrt{1+T(T(5))}\right) + T(F(7))$

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$\mathbf{159} := F(1 \times 9) + C(5)$

$\mathbf{162} := \sqrt{\sqrt{16}} \times Q(Q(T(2)))$
$\mathbf{162} := 1 \times 6 \times C(T(2))$
$\mathbf{162} := Q(1 + F(6)) \times 2$
$\mathbf{162} := Q(Q(1 \times 6))/C(2)$

$\mathbf{163} := 1 + 6 \times C(3)$
$\mathbf{163} := Q(F(1 + 6)) - 3!$
$\mathbf{163} := Q(F(1 + 6)) - T(3)$
$\mathbf{163} := T(16) + C(3)$

$\mathbf{164} := T(1 + 6) + T(Q(4))$
$\mathbf{164} := -T(16) + T(4!)$

$\mathbf{165} := T(1 + F(6)) + 5!$
$\mathbf{165} := T(1 + F(6)) + T(T(5))$
$\mathbf{165} := T\left(Q\left(T\left(\sqrt{\sqrt{16}}\right)\right)\right) + 5!$

$\mathbf{166} := -1 + T(T(6)) - Q(F(6))$

$\mathbf{167} := -\sqrt{\sqrt{16}} + Q(F(7))$
$\mathbf{167} := -1 + 6 \times T(7)$
$\mathbf{167} := C(1 \times 6) - Q(7)$

$\mathbf{168} := (-T(1 \times 6)) \times (-8)$
$\mathbf{168} := T(1 \times T(6)) \times 8$
$\mathbf{168} := F(1 \times 6) \times F(8)$

$\mathbf{169} := F(1 + 6)^{F(\sqrt{9})}$
$\mathbf{169} := Q\left(\sqrt{16} + 9\right)$
$\mathbf{169} := Q(F(16 - 9))$

$\mathbf{170} := 1 + Q(F(7)) + 0$

$\mathbf{171} := 1 + Q(F(7)) + 1$
$\mathbf{171} := T(17 + 1)$

$\mathbf{172} := (1 + C(7))/2$
$\mathbf{172} := 1 + Q(F(7)) + 2$
$\mathbf{172} := 1 + T(T(7) - T(Q(2)))$
$\mathbf{172} := Q(1 + F(7)) - Q(2)!$

$\mathbf{173} := 1 + Q(F(7)) + 3$
$\mathbf{173} := 1 + T(F(7)) + Q(Q(3))$
$\mathbf{173} := Q(F(1 \times 7)) + Q(F(3))$

$\mathbf{174} := (1 + T(7)) \times T(F(4))$
$\mathbf{174} := (1 + T(7)) \times T\left(T\left(\sqrt{4}\right)\right)$
$\mathbf{174} := 1 + Q(F(7)) + 4$
$\mathbf{174} := -1 + Q(F(7)) + F(4)!$

$\mathbf{175} := 1 \times 7 \times Q(5)$
$\mathbf{175} := 1 + Q(F(7)) + 5$
$\mathbf{175} := -T(1 + T(7)) + F(T(5))$

$\mathbf{176} := 1 + Q(F(7)) + 6$
$\mathbf{176} := -1 + Q(F(7)) + F(6)$
$\mathbf{176} := 1 + T(T(7)) - T(T(6))$

$\mathbf{177} := 1 + 7 + Q(F(7))$

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$$\mathbf{177} := 1 + Q\left(F\left(7\right)\right) + 7$$

$$\mathbf{178} := 1 + Q\left(F\left(7\right)\right) + 8$$

$$\mathbf{179} := 1 + Q\left(F\left(7\right)\right) + 9$$

$$\mathbf{182} := T\left(F\left(-1 + 8\right)\right) \times 2$$
$$\mathbf{182} := C\left(\left(\sqrt{1 + 8}\right)!\right) - F\left(Q\left(F\left(Q\left(2\right)\right)\right)\right)$$
$$\mathbf{182} := -Q\left(-1 + 8\right) + T\left(T\left(T\left(T\left(2\right)\right)\right)\right)$$
$$\mathbf{182} := -Q\left(1 + F\left(8\right)\right) + T\left(T\left(C\left(2\right)\right)\right)$$

$$\mathbf{183} := T\left(-1 + F\left(8\right)\right) - C\left(3\right)$$
$$\mathbf{183} := T\left(-1 + T\left(\sqrt{T\left(8\right)}\right)\right) - C\left(3\right)$$

$$\mathbf{184} := \left(-1 + \sqrt{T\left(8\right)}\right)! + C\left(4\right)$$
$$\mathbf{184} := -1 + Q\left(F\left(8\right)\right) - Q\left(Q\left(4\right)\right)$$
$$\mathbf{184} := Q\left(1 + T\left(\sqrt{T\left(8\right)}\right)\right) - T\left(4!\right)$$

$$\mathbf{185} := \left(1 + T\left(8\right)\right) \times 5$$
$$\mathbf{185} := 1 + Q\left(8\right) + 5!$$

$$\mathbf{186} := -T\left(1 + 8\right) + T\left(T\left(6\right)\right)$$

$$\mathbf{187} := -1 + C\left(\sqrt{T\left(8\right)}\right) - T\left(7\right)$$
$$\mathbf{187} := 18 + Q\left(F\left(7\right)\right)$$

$$\mathbf{188} := -Q\left(18\right) + C\left(8\right)$$
$$\mathbf{188} := -T\left(-1 + 8\right) + C\left(\sqrt{T\left(8\right)}\right)$$
$$\mathbf{188} := -T\left(1 + F\left(8\right)\right) + Q\left(F\left(8\right)\right)$$
$$\mathbf{188} := -T\left(1 + T\left(\sqrt{T\left(8\right)}\right)\right) + Q\left(T\left(\sqrt{T\left(8\right)}\right)\right)$$

$$\mathbf{189} := \left(1 + 8\right) \times T\left(T\left(\sqrt{9}\right)\right)$$
$$\mathbf{189} := \left(-1 + Q\left(8\right)\right) \times \sqrt{9}$$
$$\mathbf{189} := -\left(1 - 8\right) \times \sqrt{C\left(9\right)}$$
$$\mathbf{189} := -\left(1 - 8\right) \times C\left(\sqrt{9}\right)$$
$$\mathbf{189} := 1 \times F\left(8\right) \times 9$$

$$\mathbf{190} := T\left(19\right) + 0$$

$$\mathbf{191} := T\left(19\right) + 1$$

$$\mathbf{192} := \left(1 + \sqrt{9}\right)! \times C\left(2\right)$$
$$\mathbf{192} := -\left(1 - 9\right) \times \left(Q\left(2\right)\right)!$$
$$\mathbf{192} := \sqrt{1 \times 9} \times Q\left(C\left(2\right)\right)$$
$$\mathbf{192} := -Q\left(-1 + 9\right) + Q\left(Q\left(Q\left(2\right)\right)\right)$$
$$\mathbf{192} := T\left(19\right) + 2$$

$$\mathbf{193} := \left(1 + Q\left(Q\left(9\right)\right)\right) / F\left(Q\left(3\right)\right)$$
$$\mathbf{193} := T\left(19\right) + 3$$

$$\mathbf{194} := -1 + C\left(\left(\sqrt{9}\right)!\right) - F\left(\sqrt{C\left(4\right)}\right)$$
$$\mathbf{194} := T\left(19\right) + 4$$

$$\mathbf{195} := -1 + Q\left(9 + 5\right)$$
$$\mathbf{195} := T\left(19\right) + 5$$

$$\mathbf{196} := 1 + C\left(\left(\sqrt{9}\right)!\right) - F\left(F\left(6\right)\right)$$
$$\mathbf{196} := Q\left(-1 + 9 + 6\right)$$
$$\mathbf{196} := T\left(19\right) + 6$$

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$$\mathbf{197} := 1 + C\left(\sqrt{9}\right) + Q\left(F\left(7\right)\right)$$
$$\mathbf{197} := 1 + Q\left(F\left(\sqrt{9}\right) \times 7\right)$$
$$\mathbf{197} := T\left(19\right) + 7$$

$$\mathbf{198} := T\left(19\right) + 8$$

$$\mathbf{199} := -1 + C\left(\left(\sqrt{9}\right)!\right) - Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)$$
$$\mathbf{199} := F\left(F\left(1 + \left(\sqrt{9}\right)!\right)\right) - F\left(9\right)$$
$$\mathbf{199} := T\left(19\right) + 9$$

$$\mathbf{200} := C\left(F\left(Q\left(2\right)\right)!\right) - Q\left(Q\left(0! + 0!\right)\right)$$
$$\mathbf{200} := Q\left(T\left(Q\left(2\right)\right)\right) \times \left(0! + 0!\right)$$
$$\mathbf{200} := T\left(Q\left(Q\left(2\right)\right)\right) + C\left(Q\left(0! + 0!\right)\right)$$

$$\mathbf{201} := \sqrt{F\left(F\left(Q\left(2\right)\right)!\right)! + Q\left(Q\left(F\left(Q\left(0! + 1\right)\right)\right)\right)}$$
$$\mathbf{201} := \sqrt{Q\left(Q\left(F\left(Q\left(2\right)\right)\right)\right) + C\left(0! + 1\right)!}$$
$$\mathbf{201} := \sqrt{Q\left(Q\left(T\left(2\right)\right)\right) + C\left(0! + 1\right)!}$$
$$\mathbf{201} := Q\left(Q\left(Q\left(2\right)\right)\right) - T\left(T\left(Q\left(0! + 1\right)\right)\right)$$

$$\mathbf{202} := \sqrt{C\left(2\right)! + Q\left(0! + F\left(C\left(2\right)\right)\right)}$$
$$\mathbf{202} := \sqrt{F\left(F\left(Q\left(2\right)\right)!\right)! + Q\left(0! + F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)\right)}$$
$$\mathbf{202} := T\left(20\right) - C\left(2\right)$$
$$\mathbf{202} := T\left(20\right) - F\left(T\left(T\left(2\right)\right)\right)$$
$$\mathbf{202} := T\left(Q\left(Q\left(2\right)\right)\right) + T\left(0! + T\left(Q\left(2\right)\right)\right)$$

$$\mathbf{203} := -F\left(C\left(2\right) - 0!\right) + C\left(3!\right)$$
$$\mathbf{203} := -F\left(C\left(2\right) - 0!\right) + C\left(T\left(3\right)\right)$$
$$\mathbf{203} := F\left(Q\left(F\left(Q\left(2\right)\right)\right)\right) + Q\left(F\left(0! + 3!\right)\right)$$
$$\mathbf{203} := F\left(Q\left(T\left(2\right)\right)\right) + Q\left(F\left(0! + T\left(3\right)\right)\right)$$
$$\mathbf{203} := -T\left(C\left(2\right) - 0!\right) + T\left(T\left(T\left(3\right)\right)\right)$$
$$\mathbf{203} := -T\left(T\left(T\left(2\right)\right) + 0!\right) + T\left(T\left(T\left(3\right)\right)\right)$$

$$\mathbf{204} := \sqrt{C\left(2\right)! + Q\left(Q\left(\left(0! + \sqrt{4}\right)!\right)\right)}$$
$$\mathbf{204} := F\left(C\left(2\right) + 0!\right) \times F\left(4\right)!$$
$$\mathbf{204} := F\left(C\left(2\right) + 0!\right) \times T\left(F\left(4\right)\right)$$
$$\mathbf{204} := F\left(Q\left(2\right)\right)! \times F\left(Q\left(F\left(04\right)\right)\right)$$
$$\mathbf{204} := T\left(20\right) - T\left(F\left(4\right)\right)$$
$$\mathbf{204} := T\left(20\right) - T\left(T\left(\sqrt{4}\right)\right)$$

$$\mathbf{205} := Q\left(Q\left(F\left(Q\left(2\right)\right)\right)\right) - 0! + C\left(5\right)$$
$$\mathbf{205} := T\left(20\right) - 5$$

$$\mathbf{206} := -Q\left(F\left(Q\left(2\right)\right)\right) - 0! + C\left(6\right)$$
$$\mathbf{206} := -Q\left(Q\left(2\right) + 0!\right) + T\left(T\left(6\right)\right)$$
$$\mathbf{206} := -T\left(Q\left(2\right)\right) \times 0! + C\left(6\right)$$
$$\mathbf{206} := -T\left(T\left(2\right) + 0!\right) + C\left(6\right)$$

$$\mathbf{207} := -C\left(T\left(2\right)\right) + 0! + F\left(F\left(7\right)\right)$$
$$\mathbf{207} := Q\left(Q\left(Q\left(2\right)\right)\right) - Q\left(07\right)$$
$$\mathbf{207} := T\left(Q\left(Q\left(2\right)\right)\right) + \sqrt{0! + 7!}$$

$$\mathbf{208} := \left(2 + 0!\right)!! - C\left(8\right)$$
$$\mathbf{208} := \left(C\left(T\left(2\right)\right) - 0!\right) \times 8$$
$$\mathbf{208} := -2 + T\left(-0! + F\left(8\right)\right)$$
$$\mathbf{208} := -2 + T\left(-0! + T\left(\sqrt{T\left(8\right)}\right)\right)$$
$$\mathbf{208} := -Q\left(2\right)! + 0! + T\left(F\left(8\right)\right)$$
$$\mathbf{208} := Q\left(Q\left(2\right)\right) \times F\left(-0! + 8\right)$$
$$\mathbf{208} := -T\left(Q\left(T\left(2\right)\right)\right) + T\left(0! + T\left(\sqrt{T\left(8\right)}\right)\right)$$

$$\mathbf{209} := -C\left(C\left(2\right)\right) + 0! + \left(\sqrt{9}\right)!!$$
$$\mathbf{209} := C\left(T\left(T\left(2\right)\right)\right) - 0! - T\left(\sqrt{9}\right)$$
$$\mathbf{209} := -Q\left(2\right)! + F\left(F\left(0! + \left(\sqrt{9}\right)!\right)\right)$$

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$\mathbf{209} := T(20) - F\left(F\left(\sqrt{9}\right)\right)$
$\mathbf{209} := T(T(T(T(2)))) - 0! - T\left(T\left(\sqrt{9}\right)\right)$

$\mathbf{210} := F(C(2)) \times 10$
$\mathbf{210} := F(F(F(Q(2))!)) \times 10$
$\mathbf{210} := T(2 \times 10)$
$\mathbf{210} := T(F(C(2)) - 1) + 0$
$\mathbf{210} := T(T(T(T(2))) - 1) + 0$

$\mathbf{211} := Q(Q(Q(2))) - T(Q(T(1+1)))$
$\mathbf{211} := T(F(C(2)) - 1) + 1$
$\mathbf{211} := T(T(T(T(2))) - 1) + 1$

$\mathbf{212} := C(C(2)) - T((1+T(2))!)$
$\mathbf{212} := -F(C(2)) + F(F(-1+C(2)))$
$\mathbf{212} := F(F(F(Q(2))! + 1)) - F(F(F(Q(2))!))$
$\mathbf{212} := -Q(2) + C((1+2)!)$
$\mathbf{212} := -Q(2) + C(T(1+2))$
$\mathbf{212} := Q(Q(Q(2))) + 1 - T(Q(T(2)))$
$\mathbf{212} := T(F(C(2)) - 1) + 2$
$\mathbf{212} := T(T(T(T(2))) - 1) + 2$

$\mathbf{213} := C((2+1)!) - 3$
$\mathbf{213} := Q(Q(F(Q(2))!) + 1) - Q(F(Q(3)))$
$\mathbf{213} := -T(2) + C(T(1 \times 3))$
$\mathbf{213} := T(F(C(2)) - 1) + 3$
$\mathbf{213} := T(T(T(T(2))) - 1) + 3$

$\mathbf{214} := -2 + C((-1+4)!)$
$\mathbf{214} := C((2+1)!) - \sqrt{4}$
$\mathbf{214} := C(T(2+1)) - \sqrt{4}$
$\mathbf{214} := Q(2) + T(-1+T(T(F(4))))$
$\mathbf{214} := T(F(C(2)) - 1) + 4$
$\mathbf{214} := T(T(T(T(2)))) - 1 - Q(4)$
$\mathbf{214} := T(T(T(T(2))) - 1) + 4$

$\mathbf{215} := C(T(T(2))) - 1^5$
$\mathbf{215} := -F(2) + C(1+5)$
$\mathbf{215} := T(F(C(2)) - 1) + 5$
$\mathbf{215} := -T(Q(2)) + Q(T(1 \times 5))$
$\mathbf{215} := T(T(T(T(2))) - 1) + 5$

$\mathbf{216} := \sqrt{(2+1)!^6}$
$\mathbf{216} := (2+1)! \times Q(6)$
$\mathbf{216} := \sqrt{T(2+1)^6}$
$\mathbf{216} := C((2-1) \times 6)$
$\mathbf{216} := T(2+1) \times Q(6)$
$\mathbf{216} := T(2+1) \times T(F(6))$
$\mathbf{216} := T(F(C(2)) - 1) + 6$
$\mathbf{216} := T(T(2)) \times T(F(6))$
$\mathbf{216} := T(T(T(T(2))) - 1) + 6$

$\mathbf{217} := C(Q(2)) + T(17)$
$\mathbf{217} := C(T(T(2))) + 1^7$
$\mathbf{217} := F(2) + C(-1+7)$
$\mathbf{217} := Q(C(2)) + T(17)$
$\mathbf{217} := -Q(Q(2)) + F(F(1 \times 7))$
$\mathbf{217} := T(F(C(2)) - 1) + 7$
$\mathbf{217} := T(T(T(T(2)))) - 1 - F(7)$
$\mathbf{217} := T(T(T(T(2))) - 1) + 7$

$\mathbf{218} := \sqrt{F(Q(2)!) + Q(F(1+8))}$
$\mathbf{218} := 2 + C\left(\left(\sqrt{1+8}\right)!\right)$
$\mathbf{218} := 2 + C\left(T\left(\sqrt{1+8}\right)\right)$

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$\mathbf{218} := C(2) + T(-1 + F(8))$
$\mathbf{218} := F(T(T(2))) + T(-1 + F(8))$
$\mathbf{218} := T(F(C(2)) - 1) + 8$
$\mathbf{218} := T(T(T(T(2))) - 1) + 8$

$\mathbf{219} := C((2+1)!) + \sqrt{9}$
$\mathbf{219} := C(T(2+1)) + \sqrt{9}$
$\mathbf{219} := Q(Q(Q(2)) - 1) - \left(\sqrt{9}\right)!$
$\mathbf{219} := T(F(C(2)) - 1) + 9$
$\mathbf{219} := T(Q(2)!) - Q(1 \times 9)$
$\mathbf{219} := T(T(T(T(2))) - 1) + 9$

$\mathbf{220} := C(T(T(2))) + T(2) + 0!$
$\mathbf{220} := Q(2) + C((2 + 0!)!)$
$\mathbf{220} := Q(Q(Q(2))) - Q((2 + 0!)!)$
$\mathbf{220} := T(Q(2)) + T(20)$

$\mathbf{221} := C(T(T(2))) + T(T(2)) - 1$
$\mathbf{221} := -Q(2) + Q(Q(Q(2)) - 1)$
$\mathbf{221} := -T(Q(2)) + T(21)$
$\mathbf{221} := T(T(T(T(2)))) - T(T(2) + 1)$

$\mathbf{222} := F(Q(2))! \times (Q(Q(2)) + F(C(2)))$
$\mathbf{222} := Q(Q(Q(2))) - F(Q(F(2+2)))$
$\mathbf{222} := T(T(2))^{T(2)} + T(T(2))$
$\mathbf{222} := T(T(2)) + C(2 \times T(2))$
$\mathbf{222} := T(T(2)) + C(C(2) - 2)$

$\mathbf{223} := -2^{T(2)} + T(T(T(3)))$
$\mathbf{223} := -2 + Q(T(2+3))$
$\mathbf{223} := -C(2) + T\left(F\left(2^3\right)\right)$
$\mathbf{223} := -C(2) + T(T(2 \times 3))$
$\mathbf{223} := C(2) - F(2) + C(3!)$
$\mathbf{223} := C(C(2)) - Q(C(2) + Q(3))$
$\mathbf{223} := Q(Q(Q(2))) - (Q(2))! - Q(3)$
$\mathbf{223} := T(T(2 \times T(2))) - F(T(3))$

$\mathbf{224} := C(2) + C(2+4)$
$\mathbf{224} := F(T(T(2))) \times T(T(2) + 4)$
$\mathbf{224} := Q(Q(2)) \times (-2 + Q(4))$
$\mathbf{224} := Q(Q(2)) \times (Q(2) + T(4))$
$\mathbf{224} := T(T(T(T(2)))) - T(2) - 4$

$\mathbf{225} := (C(2) + F(2)) \times Q(5)$
$\mathbf{225} := -C(2) + F(F(2+5))$
$\mathbf{225} := Q(2 + F(2+5))$
$\mathbf{225} := Q(C(2) + 2 + 5)$
$\mathbf{225} := Q(Q(Q(2)) + Q(2) - 5)$
$\mathbf{225} := T(2)^2 \times Q(5)$
$\mathbf{225} := T(2 + T(2)) \times T(5)$
$\mathbf{225} := T(C(2) - T(2)) \times T(5)$

$\mathbf{226} := -2 - T(2) + T(T(6))$
$\mathbf{226} := C(2) + 2 + C(6)$
$\mathbf{226} := Q(Q(Q(2))) - (Q(2))! - 6$
$\mathbf{226} := T(2+2) + C(6)$

$\mathbf{227} := -2 \times T(2) + F(F(7))$
$\mathbf{227} := 2 + Q(2 + F(7))$
$\mathbf{227} := 2 + Q(C(2) + 7)$
$\mathbf{227} := 2 - C(2) + F(F(7))$
$\mathbf{227} := -F(2+2)! + F(F(7))$
$\mathbf{227} := -Q(2) + T(7 \times T(2))$
$\mathbf{227} := T(2) + C(2) \times T(7)$
$\mathbf{227} := T(T(T(T(2)))) + T(2) - 7$

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$\mathbf{228} := Q\left(Q\left(Q\left(2\right)\right)\right) - 28$
$\mathbf{228} := -T\left(2\right) + T\left(F\left(2\right) \times F\left(8\right)\right)$
$\mathbf{228} := T\left(T\left(2\right)\right) \times \left(2 + T\left(8\right)\right)$

$\mathbf{229} := 2^{C(2)} - \sqrt{C\left(9\right)}$
$\mathbf{229} := 2^{C(2)} - C\left(\sqrt{9}\right)$
$\mathbf{229} := -2 + T\left(T\left(2 \times \sqrt{9}\right)\right)$
$\mathbf{229} := -2 + T\left(T\left(-T\left(2\right) + 9\right)\right)$
$\mathbf{229} := -Q\left(2\right) + F\left(Q\left(2\right) + 9\right)$
$\mathbf{229} := Q\left(2\right) + Q\left(\left(Q\left(2\right)\right)! - 9\right)$
$\mathbf{229} := Q\left(2\right) + Q\left(T\left(2 + \sqrt{9}\right)\right)$
$\mathbf{229} := Q\left(Q\left(Q\left(2\right)\right)\right) - \left(Q\left(2\right)\right)! - \sqrt{9}$
$\mathbf{229} := T\left(T\left(T\left(T\left(2\right)\right)\right)\right) - F\left(-T\left(T\left(2\right)\right) + 9\right)$

$\mathbf{230} := -F\left(2\right) + T\left(T\left(T\left(3\right)\right)\right) + 0$
$\mathbf{230} := -F\left(Q\left(2\right)\right) + F\left(F\left(0! + 3!\right)\right)$
$\mathbf{230} := Q\left(Q\left(Q\left(2\right)\right)\right) - C\left(3\right) + 0!$
$\mathbf{230} := T\left(F\left(2^3\right)\right) - 0!$
$\mathbf{230} := T\left(T\left(2 \times 3\right)\right) - 0!$

$\mathbf{231} := -2 + F\left(F\left(3! + 1\right)\right)$
$\mathbf{231} := -F\left(2\right) + T\left(T\left(T\left(3\right)\right)\right) + 1$
$\mathbf{231} := Q\left(Q\left(2\right)\right) + C\left(3!\right) - 1$
$\mathbf{231} := Q\left(Q\left(Q\left(2\right)\right)\right) - Q\left(3! - 1\right)$
$\mathbf{231} := T\left(F\left(2^3 \times 1\right)\right)$
$\mathbf{231} := T\left(T\left(2 \times 3 \times 1\right)\right)$

$\mathbf{232} := \left(2 + C\left(3\right)\right) \times C\left(2\right)$
$\mathbf{232} := \left(Q\left(2\right)\right)! \times Q\left(3\right) + Q\left(Q\left(2\right)\right)$
$\mathbf{232} := -2 + T\left(T\left(T\left(3\right)\right)\right) + T\left(2\right)$
$\mathbf{232} := -F\left(2\right) + F\left(F\left(3! + F\left(2\right)\right)\right)$
$\mathbf{232} := -F\left(2\right) + F\left(Q\left(3\right) + Q\left(2\right)\right)$
$\mathbf{232} := F\left(2\right) + T\left(T\left(3 \times 2\right)\right)$
$\mathbf{232} := -F\left(2\right) + T\left(T\left(T\left(3\right)\right)\right) + 2$
$\mathbf{232} := Q\left(Q\left(2\right)\right) + T\left(3\right)^{T(2)}$
$\mathbf{232} := T\left(F\left(2^3\right)\right) + F\left(2\right)$

$\mathbf{233} := 2 + T\left(T\left(3 + 3\right)\right)$
$\mathbf{233} := C\left(2\right) + Q\left(Q\left(3\right) + 3!\right)$
$\mathbf{233} := -F\left(2\right) + T\left(T\left(T\left(3\right)\right)\right) + 3$
$\mathbf{233} := F\left(F\left(2\right) + 3! + 3!\right)$
$\mathbf{233} := F\left(C\left(2\right) + F\left(3\right) + 3\right)$
$\mathbf{233} := F\left(F\left(2\right) + T\left(3\right) + T\left(3\right)\right)$
$\mathbf{233} := F\left(F\left(-2 + 3 \times 3\right)\right)$
$\mathbf{233} := F\left(Q\left(2\right) + 3 \times 3\right)$
$\mathbf{233} := T\left(F\left(2^3\right)\right) + F\left(3\right)$

$\mathbf{234} := 2 + C\left(3!\right) + Q\left(4\right)$
$\mathbf{234} := F\left(2\right) + F\left(F\left(3 + 4\right)\right)$
$\mathbf{234} := -F\left(2\right) + T\left(T\left(T\left(3\right)\right)\right) + 4$
$\mathbf{234} := -Q\left(Q\left(2\right)\right) - 3! + Q\left(Q\left(4\right)\right)$
$\mathbf{234} := T\left(2\right) \times T\left(3 \times 4\right)$

$\mathbf{235} := \left(T\left(T\left(2\right)\right)\right)!/3 - 5$
$\mathbf{235} := 2 + F\left(F\left(F\left(3\right) + 5\right)\right)$
$\mathbf{235} := -C\left(2\right) + 3^5$
$\mathbf{235} := -F\left(2\right) + T\left(T\left(T\left(3\right)\right)\right) + 5$
$\mathbf{235} := Q\left(2\right) + T\left(F\left(3 + 5\right)\right)$
$\mathbf{235} := Q\left(2\right) + T\left(T\left(3\right) + T\left(5\right)\right)$
$\mathbf{235} := Q\left(Q\left(Q\left(2\right)\right)\right) - F\left(3 + 5\right)$
$\mathbf{235} := T\left(T\left(T\left(T\left(2\right)\right)\right)\right) + \sqrt{T\left(T\left(3\right)\right) - 5}$

$\mathbf{236} := 2 + 3 + T\left(T\left(6\right)\right)$
$\mathbf{236} := C\left(C\left(2\right)\right) - T\left(F\left(3\right) + T\left(6\right)\right)$

$\mathbf{236} := -F(2) + C(3!) + F(F(6))$
$\mathbf{236} := -F(2) + T(T(T(3))) + 6$
$\mathbf{236} := F(C(2)) - F(F(3)) + C(6)$
$\mathbf{236} := -Q(Q(2)) + C(3!) + Q(6)$

$\mathbf{237} := C(2)/F(3) + F(F(7))$
$\mathbf{237} := F(2) + 3 + F(F(7))$
$\mathbf{237} := -F(2) + T(T(T(3))) + 7$
$\mathbf{237} := Q(2) + F(3! + 7)$
$\mathbf{237} := Q(2) + F(T(3) + 7)$
$\mathbf{237} := T(T(2)) + T(3 \times 7)$

$\mathbf{238} := F(2) + C(3!) + F(8)$
$\mathbf{238} := F(2) + T(3) + T(F(8))$
$\mathbf{238} := -F(2) + T(T(T(3))) + 8$
$\mathbf{238} := Q(Q(2)) + C(T(3)) + \sqrt{T(8)}$
$\mathbf{238} := Q(Q(Q(2))) - \sqrt{Q(3) \times T(8)}$
$\mathbf{238} := Q(Q(Q(2))) + (3 - F(8))$
$\mathbf{238} := T(T(T(2)))/3 + T\left(T\left(\sqrt{T(8)}\right)\right)$

$\mathbf{239} := (T(2) - (T(3))!) / \left(-\sqrt{9}\right)$
$\mathbf{239} := 2 + T(T(T(3))) + T\left(\sqrt{9}\right)$
$\mathbf{239} := 23 + C\left(\left(\sqrt{9}\right)!\right)$
$\mathbf{239} := -F(2) + 3!!/\sqrt{9}$
$\mathbf{239} := -F(2) + T(T(T(3))) + 9$
$\mathbf{239} := F(C(2)) + C(3!) + F\left(\sqrt{9}\right)$
$\mathbf{239} := F(C(2)) + C(T(3)) + F\left(\sqrt{9}\right)$
$\mathbf{239} := F(T(T(2))) + T(T(-3 + 9))$
$\mathbf{239} := -Q(2) + 3 \times Q(9)$
$\mathbf{239} := -Q(2) + 9 \times C(3)$

$\mathbf{240} := 2 \times (4 + 0!)!$
$\mathbf{240} := C(T(T(2))) + 4! + 0$
$\mathbf{240} := -Q(Q(2)) + Q(Q(4)) + 0$
$\mathbf{240} := T(Q(2)) \times 4! + 0$
$\mathbf{240} := T(T(2))!/F(4) + 0$
$\mathbf{240} := T(T(2))!/T\left(\sqrt{4}\right) + 0$
$\mathbf{240} := T(T(2)) \times 40$

$\mathbf{241} := C(2) + F(F(F(4)! + 1))$
$\mathbf{241} := C(T(T(2))) + 4! + 1$
$\mathbf{241} := -Q(Q(2)) + Q(Q(4)) + 1$
$\mathbf{241} := Q(Q(2)) + Q(Q(4) - 1)$
$\mathbf{241} := Q(Q(2)) + Q(T(4 + 1))$
$\mathbf{241} := T(Q(2)) \times 4! + 1$
$\mathbf{241} := T(T(2))!/F(4) + 1$
$\mathbf{241} := T(T(2))!/T\left(\sqrt{4}\right) + 1$
$\mathbf{241} := T(T(T(T(2)))) + T(4)$

$\mathbf{242} := \sqrt{T(2)^{T(4)}} - F(2)$
$\mathbf{242} := 2 \times Q(F(4) + C(2))$
$\mathbf{242} := 2 \times Q(T(4) + F(2))$
$\mathbf{242} := 2 + Q(Q(4)) - Q(Q(2))$
$\mathbf{242} := -C(T(2)) \times T(4) + C(C(2))$
$\mathbf{242} := C(T(T(2))) + 4! + 2$
$\mathbf{242} := -Q(Q(2)) + Q(Q(4)) + 2$
$\mathbf{242} := T(Q(2)) \times 4! + 2$
$\mathbf{242} := T(T(2))!/F(4) + 2$
$\mathbf{242} := T(T(2))!/T\left(\sqrt{4}\right) + 2$
$\mathbf{242} := T(T(T(T(2)))) + T(4) + F(2)$
$\mathbf{242} := T(T(T(T(2)))) - T(4) + T(T(T(2)))$

$\mathbf{243} := (T(2) + 4!) \times Q(3)$
$\mathbf{243} := T(2)^4 \times 3$
$\mathbf{243} := C(2 + 4) + C(3)$

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$\mathbf{243} := C\left(T\left(T\left(2\right)\right)\right) + 4! + 3$
$\mathbf{243} := F\left(Q\left(2\right)\right)^{\sqrt{4}+3}$
$\mathbf{243} := -Q\left(2\right) + Q\left(Q\left(4\right)\right) - Q\left(3\right)$
$\mathbf{243} := Q\left(2 + Q\left(4\right)\right) - Q\left(Q\left(3\right)\right)$
$\mathbf{243} := -Q\left(Q\left(2\right)\right) + Q\left(Q\left(4\right)\right) + 3$
$\mathbf{243} := T\left(2\right)^{\sqrt{4}} \times C\left(3\right)$
$\mathbf{243} := T\left(2\right)^{F(4)} \times Q\left(3\right)$
$\mathbf{243} := T\left(Q\left(2\right)\right) \times 4! + 3$
$\mathbf{243} := T\left(T\left(2\right)\right)!/F\left(4\right) + 3$
$\mathbf{243} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right) + 3$

$\mathbf{244} := \left(C\left(C\left(2\right)\right) - 4!\right)/\sqrt{4}$
$\mathbf{244} := \left(-T\left(2\right) + C\left(4\right)\right) \times 4$
$\mathbf{244} := \left(T\left(T\left(2\right)\right) + F\left(T\left(4\right)\right)\right) \times 4$
$\mathbf{244} := \left(T\left(T\left(2\right)\right) + T\left(T\left(4\right)\right)\right) \times 4$
$\mathbf{244} := -C\left(2\right) + Q\left(Q\left(4\right)\right) - 4$
$\mathbf{244} := C\left(T\left(T\left(2\right)\right)\right) + 4! + 4$
$\mathbf{244} := F\left(2\right) + \sqrt{F\left(4\right)^{T(4)}}$
$\mathbf{244} := Q\left(2\right) \times \left(C\left(4\right) - F\left(4\right)\right)$
$\mathbf{244} := Q\left(2\right) + Q\left(Q\left(4\right)\right) - Q\left(4\right)$
$\mathbf{244} := Q\left(2\right) + T\left(4\right) \times 4!$
$\mathbf{244} := -Q\left(Q\left(2\right)\right) + Q\left(Q\left(4\right)\right) + 4$
$\mathbf{244} := T\left(Q\left(2\right)\right) \times 4! + 4$
$\mathbf{244} := T\left(T\left(2\right)\right)!/F\left(4\right) + 4$
$\mathbf{244} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right) + 4$

$\mathbf{245} := \left(T\left(2\right) + \sqrt{4}\right)! + C\left(5\right)$
$\mathbf{245} := \left(-T\left(T\left(2\right)\right) + T\left(T\left(4\right)\right)\right) \times 5$
$\mathbf{245} := 2 \times T\left(4\right) + Q\left(T\left(5\right)\right)$
$\mathbf{245} := 2 + F\left(4\right)^{5}$
$\mathbf{245} := C\left(T\left(T\left(2\right)\right)\right) + 4! + 5$
$\mathbf{245} := -Q\left(Q\left(2\right)\right) + Q\left(Q\left(4\right)\right) + 5$
$\mathbf{245} := T\left(Q\left(2\right)\right) \times 4! + 5$
$\mathbf{245} := T\left(T\left(2\right)\right)!/F\left(4\right) + 5$
$\mathbf{245} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right) + 5$

$\mathbf{246} := -2 + Q\left(Q\left(4\right)\right) - F\left(6\right)$
$\mathbf{246} := C\left(T\left(T\left(2\right)\right)\right) + 4! + 6$
$\mathbf{246} := F\left(Q\left(2\right)\right) + C\left(F\left(4\right)\right) + C\left(6\right)$
$\mathbf{246} := -Q\left(2\right) + Q\left(Q\left(4\right)\right) - 6$
$\mathbf{246} := -Q\left(Q\left(2\right)\right) + Q\left(Q\left(4\right)\right) + 6$
$\mathbf{246} := T\left(2\right) \times T\left(4\right) + C\left(6\right)$
$\mathbf{246} := T\left(F\left(2\right) + 4\right) + T\left(T\left(6\right)\right)$
$\mathbf{246} := T\left(Q\left(2\right)\right) \times 4! + 6$
$\mathbf{246} := T\left(T\left(2\right)\right)!/F\left(4\right) + 6$
$\mathbf{246} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right) + 6$
$\mathbf{246} := T\left(T\left(2\right) + \sqrt{4}\right) + T\left(T\left(6\right)\right)$

$\mathbf{247} := \left(-2 + F\left(F\left(\left(F\left(4\right)\right)!\right)\right)\right) \times F\left(7\right)$
$\mathbf{247} := \left(T\left(2\right) + Q\left(4\right)\right) \times F\left(7\right)$
$\mathbf{247} := -2 + Q\left(4\right) + F\left(F\left(7\right)\right)$
$\mathbf{247} := -2 + Q\left(Q\left(4\right)\right) - 7$
$\mathbf{247} := C\left(2\right) + F\left(4\right)! + F\left(F\left(7\right)\right)$
$\mathbf{247} := C\left(T\left(T\left(2\right)\right)\right) + 4! + 7$
$\mathbf{247} := F\left(T\left(T\left(2\right)\right)\right) + T\left(F\left(4\right)\right) + F\left(F\left(7\right)\right)$
$\mathbf{247} := -Q\left(2\right) \times 4! + C\left(7\right)$
$\mathbf{247} := -Q\left(Q\left(2\right)\right) + Q\left(Q\left(4\right)\right) + 7$
$\mathbf{247} := T\left(Q\left(2\right)\right) \times 4! + 7$
$\mathbf{247} := T\left(T\left(2\right)\right)!/F\left(4\right) + 7$
$\mathbf{247} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right) + 7$
$\mathbf{247} := T\left(T\left(2\right)\right) + \sqrt{C\left(4\right)} + F\left(F\left(7\right)\right)$
$\mathbf{247} := -T\left(T\left(2\right)\right) + T\left(-T\left(T\left(\sqrt{4}\right)\right) + T\left(7\right)\right)$

$\mathbf{248} := \left(T\left(T\left(T\left(2\right)\right)\right) + T\left(4\right)\right) \times 8$
$\mathbf{248} := 2^{F((F(4))!)} - 8$

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$\mathbf{248} := C(2) \times (T(4) + F(8))$
$\mathbf{248} := -C(2) + \sqrt{4^8}$
$\mathbf{248} := C(T(T(2))) + 4! + 8$
$\mathbf{248} := F(T(T(2))) \times (T(4) + F(8))$
$\mathbf{248} := Q\left(2^4\right) - 8$
$\mathbf{248} := -Q(Q(2)) + Q(Q(4)) + 8$
$\mathbf{248} := T(Q(2)) \times 4! + 8$
$\mathbf{248} := T(T(2))!/F(4) + 8$
$\mathbf{248} := T(T(2))!/T\left(\sqrt{4}\right) + 8$

$\mathbf{249} := (Q(2))! + Q(4! - 9)$
$\mathbf{249} := \sqrt{T(2)^{T(4)}} + T\left(\sqrt{9}\right)$
$\mathbf{249} := 2 + Q(Q(4)) - 9$
$\mathbf{249} := C(T(T(2))) + 4! + 9$
$\mathbf{249} := -F(2) + C(F(4)!) + F(9)$
$\mathbf{249} := F(Q(2)) \times \left(\sqrt{4} + Q(9)\right)$
$\mathbf{249} := -Q(Q(2)) + Q(Q(4)) + 9$
$\mathbf{249} := T(2) \times \left(\sqrt{4} + Q(9)\right)$
$\mathbf{249} := T(Q(2)) \times 4! + 9$
$\mathbf{249} := T(T(2))!/F(4) + 9$
$\mathbf{249} := T(T(2))!/T\left(\sqrt{4}\right) + 9$
$\mathbf{249} := -T(T(2)) + T(4!) - T(9)$
$\mathbf{249} := -T(T(T(2))) + T(F(4)) \times T(9)$

$\mathbf{250} := 2 \times C(5) + 0$
$\mathbf{250} := Q(Q(Q(2))) - 5 - 0!$
$\mathbf{250} := T(Q(2)) \times Q(5) + 0$

$\mathbf{251} := 2 \times C(5) + 1$
$\mathbf{251} := Q(Q(Q(2))) - 5 \times 1$
$\mathbf{251} := T(Q(2)) \times Q(5) + 1$

$\mathbf{252} := (T(T(2)) + 5!) \times 2$
$\mathbf{252} := (T(T(2)) + T(T(5))) \times 2$
$\mathbf{252} := 2 \times C(5) + 2$
$\mathbf{252} := Q(Q(Q(2))) - 5 + F(2)$
$\mathbf{252} := Q(T(2)) \times T(5 + 2)$
$\mathbf{252} := T(Q(2)) \times Q(5) + 2$

$\mathbf{253} := 2 \times C(5) + 3$
$\mathbf{253} := -F(Q(2)) + Q(Q(5) - Q(3))$
$\mathbf{253} := T(25 - 3)$
$\mathbf{253} := T(Q(2)) \times Q(5) + 3$

$\mathbf{254} := (2 + C(5)) \times \sqrt{4}$
$\mathbf{254} := 2 \times C(5) + 4$
$\mathbf{254} := F(F(2 + 5)) + F(F((F(4))!))$
$\mathbf{254} := F(Q(2)) - 5 + Q(Q(4))$
$\mathbf{254} := Q(2) + Q(5) \times T(4)$
$\mathbf{254} := T(Q(2)) \times Q(5) + 4$
$\mathbf{254} := -T(T(T(2))) + 5 \times T(T(4))$
$\mathbf{254} := T(T(T(2))) + F\left(T(5) - \sqrt{4}\right)$
$\mathbf{254} := T(T(T(2))) + F(T(5) - F(F(4)))$

$\mathbf{255} := (2 + T(5)) \times T(5)$
$\mathbf{255} := 2 \times C(5) + 5$
$\mathbf{255} := Q(Q(Q(2))) - 5/5$
$\mathbf{255} := T(Q(2)) \times Q(5) + 5$

$\mathbf{256} := \sqrt{2^{-5+T(6)}}$
$\mathbf{256} := 2 \times C(5) + 6$
$\mathbf{256} := 2^5 \times F(6)$
$\mathbf{256} := 25 + T(T(6))$
$\mathbf{256} := 5 \times C(2) + C(6)$
$\mathbf{256} := Q(2 \times 5 + 6)$
$\mathbf{256} := T(Q(2)) \times Q(5) + 6$

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$\mathbf{257} := \left(\sqrt{F(2)+T(5)}\right)! + F(F(7))$
$\mathbf{257} := (-F(2)+5)! + F(F(7))$
$\mathbf{257} := 2 \times C(5) + 7$
$\mathbf{257} := -F(2) + Q(5) + F(F(7))$
$\mathbf{257} := Q(2) + T(T(5)+7)$
$\mathbf{257} := T(Q(2)) \times Q(5) + 7$

$\mathbf{258} := 2 \times C(5) + 8$
$\mathbf{258} := 2 + Q(-5 + F(8))$
$\mathbf{258} := -T(2) + Q(T(5)) + T(8)$
$\mathbf{258} := T(Q(2)) \times Q(5) + 8$

$\mathbf{259} := 2 \times C(5) + 9$
$\mathbf{259} := F(Q(2)) + Q(Q(5) - 9)$
$\mathbf{259} := -F(T(T(2)))!/5! + T(F(9))$
$\mathbf{259} := T(2) + Q(Q(5) - 9)$
$\mathbf{259} := T(2+5) + T\left(T\left(T\left(\sqrt{9}\right)\right)\right)$
$\mathbf{259} := T(Q(2)) \times Q(5) + 9$
$\mathbf{259} := T(T(T(T(2)))) + T\left(\sqrt{T(5)+F(9)}\right)$

$\mathbf{260} := C(T(2)) + F(F(6+0!))$
$\mathbf{260} := Q(2) \times (Q(F(6)) + 0!)$
$\mathbf{260} := T(Q(T(T(2)))) - T(T(6+0!))$
$\mathbf{260} := T(T(C(2))) - T(T(6+0!))$
$\mathbf{260} := T(T(F(T(T(2))))) - T(T(F(6) - 0!))$

$\mathbf{261} := C(2) + T(T(6)+1)$
$\mathbf{261} := F(T(T(2))) + T(T(6)+1)$
$\mathbf{261} := Q(Q(Q(2))) + 6 - 1$

$\mathbf{262} := 2^{F(6)} + T(T(2))$
$\mathbf{262} := Q(Q(Q(2))) + (6/2)!$
$\mathbf{262} := Q(Q(Q(2))) + \sqrt{6^2}$
$\mathbf{262} := T(T(2)) + Q(Q(6-2))$

$\mathbf{263} := 2 + C(6) + T(Q(3))$
$\mathbf{263} := -Q(2) + T(T(6)) + Q(T(3))$
$\mathbf{263} := Q(Q(Q(2))) + 6 + F(F(3))$
$\mathbf{263} := T(F(C(2))) + \sqrt{C(F(6)) \times F(3)}$

$\mathbf{264} := (C(T(2)) + 6) \times \sqrt{C(4)}$
$\mathbf{264} := (T(2) + F(6)) \times 4!$
$\mathbf{264} := 2^{F(6)} + F((F(4))!)$
$\mathbf{264} := 2 + 6 + Q(Q(4))$
$\mathbf{264} := T(T(2) + F(6)) \times 4$
$\mathbf{264} := T(T(T(T(T(2)))) / T(6)) \times 4$
$\mathbf{264} := C(2) \times Q(6) - 4!$
$\mathbf{264} := F(C(2)) + C(6) + C(F(4))$
$\mathbf{264} := Q(2)! \times (F(6) + F(4))$
$\mathbf{264} := Q(2) \times T(T(6) - T(4))$
$\mathbf{264} := -T(2+6) + T(4!)$

$\mathbf{265} := C(Q(2)) + C(6) - T(5)$
$\mathbf{265} := Q(2)! + C(6) + Q(5)$
$\mathbf{265} := Q(C(2)) + C(6) - T(5)$
$\mathbf{265} := Q(Q(Q(2))) + Q(F(6) - 5)$
$\mathbf{265} := Q(T(2)) + Q(T(6) - 5)$
$\mathbf{265} := T(F(C(2))) + F(-6 + T(5))$
$\mathbf{265} := T(T(T(T(2)))) + F(-6 + T(5))$

$\mathbf{266} := (T(Q(2)!) + Q(Q(6)))/6$
$\mathbf{266} := -F(2) + T(F(6)) + T(T(6))$
$\mathbf{266} := Q(Q(Q(2))) + \sqrt{Q(F(6)) + Q(6)}$
$\mathbf{266} := T(C(2)!/6!)/6$
$\mathbf{266} := T(Q(2)) + Q(F(6) + F(6))$

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$\mathbf{266} := T\left(T\left(C\left(2\right)\right)\right) - Q\left(6!/Q\left(6\right)\right)$

$\mathbf{267} := 2 + C\left(6\right) + Q\left(7\right)$
$\mathbf{267} := -2 + Q\left(6\right) + F\left(F\left(7\right)\right)$
$\mathbf{267} := C\left(2\right) + T\left(T\left(6\right)\right) + T\left(7\right)$
$\mathbf{267} := F\left(F\left(2\right) + F\left(6\right)\right) + F\left(F\left(7\right)\right)$
$\mathbf{267} := T\left(C\left(2\right)\right) + T\left(F\left(6\right) + F\left(7\right)\right)$
$\mathbf{267} := T\left(Q\left(2\right)!\right) - T\left(T\left(6\right)\right)/7$

$\mathbf{268} := F\left(2\right) + Q\left(6\right) + T\left(F\left(8\right)\right)$
$\mathbf{268} := F\left(2\right) + T\left(F\left(6\right)\right) + T\left(F\left(8\right)\right)$
$\mathbf{268} := Q\left(C\left(2\right)\right) + \sqrt{Q\left(Q\left(6\right)\right) + 8!}$
$\mathbf{268} := Q\left(Q\left(2\right)\right) + C\left(6\right) + T\left(8\right)$
$\mathbf{268} := Q\left(-Q\left(2\right) + F\left(F\left(6\right)\right)\right) - F\left(8\right)$
$\mathbf{268} := T\left(2 + T\left(6\right)\right) - 8$

$\mathbf{269} := 2 + T\left(T\left(6\right)\right) + Q\left(T\left(\sqrt{9}\right)\right)$
$\mathbf{269} := C\left(2\right) + C\left(6\right) + T\left(9\right)$
$\mathbf{269} := C\left(C\left(2\right)\right) - C\left(6\right) - \sqrt{C\left(9\right)}$
$\mathbf{269} := C\left(C\left(2\right)\right) - C\left(6\right) - C\left(\sqrt{9}\right)$
$\mathbf{269} := -F\left(2\right) + 6 \times T\left(9\right)$
$\mathbf{269} := -F\left(Q\left(2\right)\right) + F\left(6\right) \times F\left(9\right)$

$\mathbf{270} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(7\right) + 0!$
$\mathbf{270} := T\left(2\right) \times \left(T\left(F\left(7\right)\right) - 0!\right)$
$\mathbf{270} := T\left(C\left(2\right)\right) + F\left(F\left(7\right)\right) + 0!$
$\mathbf{270} := T\left(Q\left(2\right)\right) \times \left(T\left(7\right) - 0!\right)$

$\mathbf{271} := -C\left(C\left(2\right)\right) + Q\left(T\left(7\right)\right) - 1$
$\mathbf{271} := Q\left(F\left(C\left(2\right)\right)\right) - Q\left(F\left(7\right)\right) - 1$
$\mathbf{271} := Q\left(F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)\right) - Q\left(F\left(7\right)\right) - 1$
$\mathbf{271} := T\left(Q\left(2\right)!\right) - T\left(7\right) - 1$

$\mathbf{272} := \left(\left(Q\left(2\right)\right)! - 7\right) \times Q\left(Q\left(2\right)\right)$
$\mathbf{272} := \left(T\left(Q\left(2\right)\right) + 7\right) \times Q\left(Q\left(2\right)\right)$
$\mathbf{272} := \left(T\left(T\left(2\right)\right) + T\left(7\right)\right) \times C\left(2\right)$
$\mathbf{272} := 2 \times T\left(F\left(7\right) + T\left(2\right)\right)$
$\mathbf{272} := C\left(2\right) \times F\left(7 + 2\right)$
$\mathbf{272} := Q\left(Q\left(2\right)\right) \times \left(F\left(7\right) + Q\left(2\right)\right)$
$\mathbf{272} := T\left(2\right) \times T\left(F\left(7\right)\right) - F\left(2\right)$

$\mathbf{273} := T\left(F\left(2\right) \times F\left(7\right)\right) \times 3$
$\mathbf{273} := C\left(2\right) + Q\left(7\right) + C\left(3!\right)$
$\mathbf{273} := F\left(2\right) \times F\left(7\right) \times F\left(F\left(3!\right)\right)$
$\mathbf{273} := F\left(C\left(2\right)\right) \times \left(7 + 3!\right)$
$\mathbf{273} := Q\left(2\right) + F\left(F\left(7\right)\right) + Q\left(3!\right)$
$\mathbf{273} := T\left(2\right) \times T\left(7 + T\left(3\right)\right)$

$\mathbf{274} := -2 + T\left(7 + Q\left(4\right)\right)$
$\mathbf{274} := -2 + T\left(F\left(7\right) + T\left(4\right)\right)$
$\mathbf{274} := 2 - T\left(7\right) + T\left(4!\right)$
$\mathbf{274} := C\left(Q\left(2\right)\right) + 7!/4!$
$\mathbf{274} := F\left(2\right) + F\left(7\right) \times F\left(F\left(\left(F\left(4\right)\right)!\right)\right)$
$\mathbf{274} := F\left(2\right) + T\left(F\left(7\right)\right) \times F\left(4\right)$
$\mathbf{274} := F\left(C\left(2\right)\right) \times F\left(7\right) + F\left(\sqrt{4}\right)$
$\mathbf{274} := Q\left(2\right)! + Q\left(F\left(7\right)\right) + Q\left(Q\left(F\left(4\right)\right)\right)$
$\mathbf{274} := Q\left(C\left(2\right)\right) + 7!/4!$
$\mathbf{274} := -T\left(T\left(2\right)\right) + T\left(7\right) \times T\left(4\right)$

$\mathbf{275} := \left(Q\left(2\right) + 7\right) \times Q\left(5\right)$
$\mathbf{275} := F\left(T\left(2\right) + 7\right) \times 5$
$\mathbf{275} := T\left(T\left(2\right) + 7\right) \times 5$
$\mathbf{275} := -F\left(2\right) + T\left(T\left(7\right) - 5\right)$

$\mathbf{276} := \left(Q\left(2\right)\right)! + 7 \times Q\left(6\right)$
$\mathbf{276} := \left(-T\left(2\right) + Q\left(7\right)\right) \times 6$

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$\mathbf{276} := T(2) + F(7) \times T(6)$
$\mathbf{276} := T(2+7) + T(T(6))$
$\mathbf{276} := T(C(2)) + 7!/T(6)$

$\mathbf{277} := Q(Q(2)) + T(7) + F(F(7))$
$\mathbf{277} := Q(Q(Q(2))) + F(F(-7 + F(7)))$
$\mathbf{277} := Q(Q(Q(2))) + Q(7) - T(7)$
$\mathbf{277} := -T(-2 + F(7)) + C(7)$
$\mathbf{277} := -T(Q(2) + 7) + C(7)$
$\mathbf{277} := T(T(T(T(2)))) + T(T(F(7)))/T(F(7))$

$\mathbf{278} := (C(T(2)) + C(F(7)))/8$
$\mathbf{278} := (T(T(2)))! - T(T(7)) - T(8)$
$\mathbf{278} := -2 + Q(7) + T(F(8))$
$\mathbf{278} := 2 + T(-F(7) + T(8))$
$\mathbf{278} := -F(2) + C(7) - Q(8)$
$\mathbf{278} := -F(2) - F(F(7)) + C(8)$
$\mathbf{278} := Q(2)! + F(F(7)) + F(8)$
$\mathbf{278} := -Q(Q(2)) + Q(7) \times \sqrt{T(8)}$
$\mathbf{278} := T(T(2)) + Q(T(7)) - C(8)$

$\mathbf{279} := ((Q(2))! + 7) \times 9$
$\mathbf{279} := (T(2) + T(7)) \times 9$
$\mathbf{279} := F(C(2)) \times F(7) + \left(\sqrt{9}\right)!$

$\mathbf{280} := (F(Q(2))!)! - Q(F(8)) + 0!$
$\mathbf{280} := C(2) \times (T(8) - 0!)$
$\mathbf{280} := C(F(Q(2))!) + Q(8) + 0$
$\mathbf{280} := F(T(T(2))) \times (T(8) - 0!)$
$\mathbf{280} := Q(C(2)) + C\left(\left(\sqrt{8 + 0!}\right)!\right)$
$\mathbf{280} := T(Q(2)) \times T(8 - 0!)$

$\mathbf{281} := C(C(2)) - T(F(8 \times 1))$
$\mathbf{281} := C(C(2)) - T\left(T\left(T\left(\sqrt{8+1}\right)\right)\right)$
$\mathbf{281} := C(F(Q(2))!) + Q(8) + 1$
$\mathbf{281} := Q(Q(Q(2))) + Q\left(\sqrt{T(8)} - 1\right)$

$\mathbf{282} := C(2) \times T(8) - T(T(2))$
$\mathbf{282} := C(F(Q(2))!) + Q(8) + 2$
$\mathbf{282} := F(Q(Q(2)))/F(8) \times F(Q(2))!$
$\mathbf{282} := Q(Q(Q(2))) + T(8) - T(Q(2))$
$\mathbf{282} := T(T(2)) + T(F(8) + 2)$
$\mathbf{282} := T(T(2)) + T\left(T\left(\sqrt{T(8)}\right) + 2\right)$

$\mathbf{283} := 2^8 + C(3)$
$\mathbf{283} := C(F(Q(2))!) + Q(8) + 3$
$\mathbf{283} := Q(2) - Q(F(8)) + 3!!$
$\mathbf{283} := Q(Q(2)) + T(F(8)) + Q(T(3))$
$\mathbf{283} := -T(T(2)) + Q(8 + Q(3))$

$\mathbf{284} := \sqrt{(C(2) + 8!) \times \sqrt{4}}$
$\mathbf{284} := \sqrt{2 \times (8! + F(F(4)!))}$
$\mathbf{284} := \sqrt{2 \times 8! + Q(4)}$
$\mathbf{284} := -2 \times 8 + T(4!)$
$\mathbf{284} := -2 + T(F(8)) + F(T(4))$
$\mathbf{284} := -2 + T\left(T\left(\sqrt{T(8)}\right)\right) + T(T(4))$
$\mathbf{284} := 28 + Q(Q(4))$
$\mathbf{284} := C(2) \times T(8) - 4$
$\mathbf{284} := C(F(Q(2))!) + Q(8) + 4$

$\mathbf{285} := (-2 + F(8)) \times T(5)$
$\mathbf{285} := (C(T(2)) - 8) \times T(5)$
$\mathbf{285} := C(F(Q(2))!) + Q(8) + 5$
$\mathbf{285} := -Q(2) + Q(-8 + Q(5))$

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$\mathbf{285} := Q\left(T\left(2\right)\right) + T\left(8 + T\left(5\right)\right)$

$\mathbf{285} := T\left(T\left(2\right) \times 8\right) - T\left(5\right)$

$\mathbf{286} := -2 + 8 \times Q\left(6\right)$

$\mathbf{286} := -2 + T\left(8\right) \times F\left(6\right)$

$\mathbf{286} := C\left(F\left(Q\left(2\right)\right)!\right) + Q\left(8\right) + 6$

$\mathbf{286} := T\left(2 + 8\right) + T\left(T\left(6\right)\right)$

$\mathbf{287} := C\left(2\right) + C\left(8\right) - F\left(F\left(7\right)\right)$

$\mathbf{287} := C\left(2\right) - Q\left(8\right) + C\left(7\right)$

$\mathbf{287} := C\left(F\left(Q\left(2\right)\right)!\right) + Q\left(8\right) + 7$

$\mathbf{287} := C\left(T\left(2\right)\right) + T\left(T\left(8\right)\right) - T\left(T\left(7\right)\right)$

$\mathbf{287} := Q\left(Q\left(2\right)\right) \times F\left(8\right) - Q\left(7\right)$

$\mathbf{287} := Q\left(T\left(2\right)\right) \times \sqrt{T\left(8\right)} + F\left(F\left(7\right)\right)$

$\mathbf{287} := T\left(2\right) \times T\left(F\left(8\right)\right) - T\left(T\left(7\right)\right)$

$\mathbf{287} := T\left(Q\left(2\right)!\right) + T\left(8\right) - Q\left(7\right)$

$\mathbf{287} := T\left(T\left(T\left(T\left(2\right)\right)\right)\right) + 8 \times 7$

$\mathbf{288} := \left(2 + \sqrt{T\left(8\right)}\right) \times T\left(8\right)$

$\mathbf{288} := F\left(2\right) \times 8 \times T\left(8\right)$

$\mathbf{288} := C\left(F\left(Q\left(2\right)\right)!\right) + Q\left(8\right) + 8$

$\mathbf{288} := Q\left(2\right) \times \left(8 + Q\left(8\right)\right)$

$\mathbf{288} := T\left(C\left(2\right)\right) \times \sqrt{8 \times 8}$

$\mathbf{289} := C\left(F\left(Q\left(2\right)\right)!\right) + Q\left(8\right) + 9$

$\mathbf{289} := F\left(2\right) \times Q\left(8 + 9\right)$

$\mathbf{289} := F\left(T\left(T\left(2\right)\right)\right) \times T\left(8\right) + F\left(F\left(\sqrt{9}\right)\right)$

$\mathbf{289} := Q\left(-2 + Q\left(8\right) - T\left(9\right)\right)$

$\mathbf{289} := Q\left(-C\left(2\right) \times 8 + Q\left(9\right)\right)$

$\mathbf{289} := Q\left(Q\left(Q\left(2\right)\right) - 8 + 9\right)$

$\mathbf{289} := T\left(C\left(T\left(2\right)\right)\right) - 89$

$\mathbf{289} := T\left(T\left(C\left(2\right)\right)\right) - F\left(8 + T\left(\sqrt{9}\right)\right)$

$\mathbf{290} := Q\left(C\left(2\right) + 9\right) + 0!$

$\mathbf{290} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(9\right) + 0$

$\mathbf{290} := T\left(Q\left(2\right)!\right) - 9 - 0!$

$\mathbf{291} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(9\right) + 1$

$\mathbf{291} := Q\left(Q\left(Q\left(2\right)\right)\right) + Q\left(\left(\sqrt{9}\right)!\right) - 1$

$\mathbf{291} := T\left(Q\left(2\right)!\right) - 9 \times 1$

$\mathbf{292} := -C\left(2\right) + T\left(\sqrt{9} \times C\left(2\right)\right)$

$\mathbf{292} := F\left(Q\left(2\right)\right) + Q\left(F\left(9\right)/2\right)$

$\mathbf{292} := -F\left(T\left(T\left(2\right)\right)\right) + T\left(T\left(9\right) - T\left(T\left(T\left(2\right)\right)\right)\right)$

$\mathbf{292} := Q\left(2\right) \times \left(Q\left(9\right) - C\left(2\right)\right)$

$\mathbf{292} := Q\left(Q\left(Q\left(2\right)\right)\right) + 9 \times Q\left(2\right)$

$\mathbf{292} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(9\right) + 2$

$\mathbf{292} := T\left(\left(F\left(2\right) + \sqrt{9}\right)!\right) - F\left(T\left(T\left(2\right)\right)\right)$

$\mathbf{292} := T\left(2\right) + Q\left(F\left(9\right)/2\right)$

$\mathbf{292} := T\left(F\left(T\left(T\left(2\right)\right)\right)\right) + F\left(\sqrt{9}\right)^{F(T(T(2)))}$

$\mathbf{293} := C\left(2\right) \times F\left(9\right) + T\left(T\left(3\right)\right)$

$\mathbf{293} := C\left(C\left(2\right)\right) - \sqrt{9} - C\left(3!\right)$

$\mathbf{293} := C\left(C\left(2\right)\right) - \sqrt{9} - C\left(T\left(3\right)\right)$

$\mathbf{293} := -Q\left(2\right) + Q\left(9\right) + C\left(3!\right)$

$\mathbf{293} := -Q\left(2\right) + Q\left(9\right) + C\left(T\left(3\right)\right)$

$\mathbf{293} := Q\left(2\right) + Q\left(F\left(9\right)/F\left(3\right)\right)$

$\mathbf{293} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(9\right) + 3$

$\mathbf{293} := T\left(Q\left(2\right)!\right) - T\left(T\left(\sqrt{9}\right)\right)/3$

$\mathbf{293} := T\left(T\left(T\left(2\right)\right)\right) + F\left(9\right) \times F\left(T\left(3\right)\right)$

$\mathbf{294} := 2 + Q\left(\left(\sqrt{9}\right)!\right) + Q\left(Q\left(4\right)\right)$

$\mathbf{294} := -2 - C\left(\left(\sqrt{9}\right)!\right) + \sqrt{C\left(C\left(4\right)\right)}$

$\mathbf{294} := F\left(C\left(2\right)\right) \times \left(\left(\sqrt{9}\right)! + \sqrt{C\left(4\right)}\right)$

$\mathbf{294} := F\left(Q\left(2\right)\right) \times \left(F\left(9\right) + C\left(4\right)\right)$

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$\mathbf{294} := Q\left(2\right) + F\left(9\right) + Q\left(Q\left(4\right)\right)$

$\mathbf{294} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(9\right) + 4$

$\mathbf{294} := T\left(2\right) \times \left(F\left(9\right) + C\left(4\right)\right)$

$\mathbf{294} := T\left(T\left(2\right)\right) \times \left(T\left(9\right) + 4\right)$

$\mathbf{295} := (T(T(2)))! - T(T(9)) + F(T(5))$

$\mathbf{295} := C(Q(2)) + T\left(\sqrt{9}\right) + Q(T(5))$

$\mathbf{295} := Q(C(2)) + T\left(\sqrt{9}\right) + Q(T(5))$

$\mathbf{295} := Q(Q(Q(2))) + F(9) + 5$

$\mathbf{295} := Q(Q(Q(2))) - Q(9) + 5!$

$\mathbf{295} := T\left(\left(-2 + T\left(\sqrt{9}\right)\right)!\right) - 5$

$\mathbf{295} := T\left(C(2) \times \sqrt{9}\right) - 5$

$\mathbf{295} := T(T(2)) \times T(9) + Q(5)$

$\mathbf{295} := T(T(2) \times F(T\left(\sqrt{9}\right))) - 5$

$\mathbf{295} := T(T(2) + T(T(\sqrt{9}))) - 5$

$\mathbf{295} := -T(T(T(2))) + T(T(9) - 5$

$\mathbf{296} := \left(T\left(2\right) + F\left(9\right)\right) \times F\left(6\right)$

$\mathbf{296} := 2^{9} - C\left(6\right)$

$\mathbf{296} := Q\left(2\right)! + F\left(9\right) \times F\left(6\right)$

$\mathbf{296} := -Q\left(2\right) + T\left(\sqrt{9} + T\left(6\right)\right)$

$\mathbf{296} := Q\left(Q\left(2\right)\right) + 9!/Q\left(Q\left(6\right)\right)$

$\mathbf{296} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(9\right) + 6$

$\mathbf{297} := \left(C\left(Q\left(2\right)!\right) + C\left(9\right)\right)/Q\left(7\right)$

$\mathbf{297} := 2^{\left(\sqrt{9}\right)!} + F\left(F\left(7\right)\right)$

$\mathbf{297} := 2^{T\left(\sqrt{9}\right)} + F\left(F\left(7\right)\right)$

$\mathbf{297} := C\left(2\right) + Q\left(T\left(9\right) - T\left(7\right)\right)$

$\mathbf{297} := C\left(F\left(2\right) + \sqrt{9}\right) + F\left(F\left(7\right)\right)$

$\mathbf{297} := -F\left(2\right) - T\left(9\right) + C\left(7\right)$

$\mathbf{297} := Q\left(2\right)^{\sqrt{9}} + F\left(F\left(7\right)\right)$

$\mathbf{297} := Q\left(Q\left(Q\left(2\right)\right)\right) + \sqrt{-\left(\sqrt{9}\right)!! + Q\left(Q\left(7\right)\right)}$

$\mathbf{297} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(9\right) + 7$

$\mathbf{297} := -T\left(2\right) + T\left(\left(\sqrt{9+7}\right)!\right)$

$\mathbf{297} := T\left(2\right) + T\left(\sqrt{9}\right) \times Q\left(7\right)$

$\mathbf{297} := T\left(T\left(2\right) + F\left(9\right)\right) - T\left(T\left(7\right)\right)$

$\mathbf{297} := T\left(T\left(T\left(T\left(2\right)\right)\right)\right) \times 9/7$

$\mathbf{298} := -2 + T\left(\sqrt{9} \times 8\right)$

$\mathbf{298} := -2 + T\left(T\left(9\right) - F\left(8\right)\right)$

$\mathbf{298} := 2 - C\left(\left(\sqrt{9}\right)!\right) + C\left(8\right)$

$\mathbf{298} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(9\right) + 8$

$\mathbf{298} := Q\left(T\left(2\right)\right) + Q\left(9 + 8\right)$

$\mathbf{299} := \left(T\left(2\right) + T\left(F\left(9\right)\right)\right)/F\left(\sqrt{9}\right)$

$\mathbf{299} := 2 + Q\left(9\right) + C\left(\left(\sqrt{9}\right)!\right)$

$\mathbf{299} := C\left(2\right) \times F\left(9\right) + C\left(\sqrt{9}\right)$

$\mathbf{299} := C\left(C\left(2\right)\right) + \sqrt{9} - C\left(\left(\sqrt{9}\right)!\right)$

$\mathbf{299} := C\left(C\left(2\right)\right) - C\left(T\left(\sqrt{9}\right)\right) + \sqrt{9}$

$\mathbf{299} := Q\left(Q\left(Q\left(2\right)\right)\right) + F\left(9\right) + 9$

$\mathbf{299} := T\left(Q\left(2\right)!\right) - 9/9$

$\mathbf{299} := T\left(T\left(T\left(T\left(2\right)\right)\right)\right) + F\left(9\right) + F\left(9\right)$

$\mathbf{300} := T\left(\left(3 + 0!\right)!\right) + 0$

$\mathbf{300} := T\left(Q\left(F\left(3\right)\right)!\right) + 00$

$\mathbf{301} := T\left(\left(3 + 0!\right)!\right) + 1$

$\mathbf{301} := T\left(Q\left(F\left(3\right)\right)!\right) + 01$

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$\mathbf{302} := 3 - 0! + T\,(Q\,(2)!)$

$\mathbf{302} := C\,(C\,(F\,(3))) - 0! - T\,(F\,(C\,(2)))$
$\mathbf{302} := F\,(3) + T\,((0! + T\,(2))!)$
$\mathbf{302} := F\,(3) + T\,(Q\,(02)!)$
$\mathbf{302} := T\,((3 + 0!)!) + 2$
$\mathbf{302} := T\,(Q\,(F\,(3))!) + 02$

$\mathbf{303} := T\,((3 + 0!)!) + 3$
$\mathbf{303} := T\,(Q\,(F\,(3))!) + 03$

$\mathbf{304} := 3 + 0! + T\,(4!)$
$\mathbf{304} := Q\,(F\,(3)) + T\,(04!)$
$\mathbf{304} := T\,((3 + 0!)!) + 4$
$\mathbf{304} := T\,(Q\,(F\,(3))!) + 04$

$\mathbf{305} := C\,(3!) + F\left(\sqrt{0! + 5!}\right)$
$\mathbf{305} := C\,(T\,(3)) + F\left(\sqrt{0! + 5!}\right)$
$\mathbf{305} := Q\,(Q\,(3)) - 0! + Q\,(T\,(5))$
$\mathbf{305} := T\,((3 + 0!)!) + 5$
$\mathbf{305} := T\,(Q\,(F\,(3))!) + 05$

$\mathbf{306} := Q\,(3) \times F\,(0! + F\,(6))$
$\mathbf{306} := T\,((3 + 0!)!) + 6$
$\mathbf{306} := T\,(Q\,(F\,(3))!) + 06$

$\mathbf{307} := C\,(T\,(3)) + T\,(F\,(7))$
$\mathbf{307} := -Q\,(3!) \times 0! + C\,(7)$
$\mathbf{307} := T\,((3 + 0!)!) + 7$
$\mathbf{307} := T\,(C\,(3)) - \sqrt{0! + 7!}$
$\mathbf{307} := T\,(Q\,(F\,(3))!) + 07$

$\mathbf{308} := T\,((3 + 0!)!) + 8$
$\mathbf{308} := T\,(Q\,(F\,(3))!) + 08$

$\mathbf{309} := C\,(0! + T\,(3)) - F\,(9)$
$\mathbf{309} := C\,(3! + 0!) - F\,(9)$
$\mathbf{309} := Q\,(3) + T\left(\left(0! + \sqrt{9}\right)!\right)$
$\mathbf{309} := Q\,(Q\,(3!)) - F\left(Q\left(0! + \sqrt{9}\right)\right)$
$\mathbf{309} := T\,((3 + 0!)!) + 9$
$\mathbf{309} := T\,(Q\,(F\,(3))!) + 09$

$\mathbf{310} := T\,(Q\,(F\,(3))!) + 10$
$\mathbf{310} := T\,(Q\,(F\,(3))) + T\,(Q\,(1 + 0!)!)$

$\mathbf{311} := Q\,(Q\,(Q\,(F\,(3)))) + T\,(T\,(Q\,(1 + 1)))$
$\mathbf{311} := T\,(Q\,(F\,(3))!) + 11$

$\mathbf{312} := F\,(3! + 1) \times Q\,(2)!$
$\mathbf{312} := Q\,(F\,(3)) \times T\,(12)$
$\mathbf{312} := Q\,(T\,(3)) + T\,(-1 + Q\,(2)!)$
$\mathbf{312} := T\,(Q\,(F\,(3))!) + 12$

$\mathbf{313} := Q\,(F\,(3))! + Q\,(1 + Q\,(Q\,(F\,(3))))$
$\mathbf{313} := T\,(Q\,(F\,(3))!) + 13$
$\mathbf{313} := T\,(T\,(T\,(3))) + 1 + Q\,(Q\,(3))$

$\mathbf{314} := F\,(F\,(3! + 1)) + Q\,(Q\,(F\,(4)))$
$\mathbf{314} := T\,(C\,(3)) - C\,(1 \times 4)$
$\mathbf{314} := T\,(Q\,(F\,(3))!) + 14$
$\mathbf{314} := T\,(T\,(Q\,(3))) - 1 - T\,(F\,(4))!$
$\mathbf{314} := T\,(T\,(Q\,(3))) - 1 - T\left(T\left(\sqrt{4}\right)\right)!$
$\mathbf{314} := -T\,(T\,(T\,(3) + 1)) + T\,(F\,(4))!$

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$\mathbf{314} := -T\left(T\left(T\left(3\right)+1\right)\right)+T\left(T\left(\sqrt{4}\right)\right)!$

$\mathbf{315} := F\left(C\left(F\left(3\right)\right)\right)\times 15$
$\mathbf{315} := F\left(F\left(3!\right)\right)\times 15$
$\mathbf{315} := 3\times T\left(-1+T\left(5\right)\right)$
$\mathbf{315} := T\left(Q\left(F\left(3\right)\right)!\right)+15$

$\mathbf{316} := -C\left(3\right)+C\left(1+6\right)$
$\mathbf{316} := T\left(Q\left(F\left(3\right)\right)!\right)+16$
$\mathbf{316} := T\left(T\left(Q\left(3\right)\right)\right)+\left(1-6!\right)$

$\mathbf{317} := -C\left(3\right)+1+C\left(7\right)$
$\mathbf{317} := T\left(Q\left(F\left(3\right)\right)!\right)+17$

$\mathbf{318} := -3!+Q\left(18\right)$
$\mathbf{318} := -T\left(3\right)+Q\left(18\right)$
$\mathbf{318} := T\left(Q\left(F\left(3\right)\right)!\right)+18$

$\mathbf{319} := -Q\left(F\left(3\right)\right)!+C\left(1+\left(\sqrt{9}\right)!\right)$
$\mathbf{319} := Q\left(Q\left(Q\left(F\left(3\right)\right)\right)\right)-1+Q\left(F\left(\left(\sqrt{9}\right)!\right)\right)$
$\mathbf{319} := T\left(Q\left(F\left(3\right)\right)!\right)+19$
$\mathbf{319} := T\left(Q\left(T\left(3\right)-1\right)\right)-T\left(\sqrt{9}\right)$

$\mathbf{320} := 3!!-Q\left(20\right)$
$\mathbf{320} := C\left(Q\left(F\left(3\right)\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+0$
$\mathbf{320} := Q\left(F\left(3!\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+0$
$\mathbf{320} := T\left(3\right)!-Q\left(20\right)$
$\mathbf{320} := T\left(Q\left(F\left(3\right)\right)!\right)+20$

$\mathbf{321} := C\left(Q\left(F\left(3\right)\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+1$
$\mathbf{321} := Q\left(F\left(3!\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+1$
$\mathbf{321} := T\left(Q\left(F\left(3\right)\right)!\right)+21$
$\mathbf{321} := T\left(T\left(3\right)\right)+T\left(\left(T\left(2\right)+1\right)!\right)$
$\mathbf{321} := T\left(T\left(3\right)\right)+T\left(Q\left(2\times 1\right)!\right)$

$\mathbf{322} := C\left(3!+F\left(2\right)\right)-F\left(C\left(2\right)\right)$
$\mathbf{322} := C\left(Q\left(F\left(3\right)\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+2$
$\mathbf{322} := F\left(Q\left(3\right)\right)\times Q\left(T\left(2\right)\right)+Q\left(Q\left(2\right)\right)$
$\mathbf{322} := Q\left(Q\left(3\right)\times 2\right)-2$
$\mathbf{322} := Q\left(F\left(3!\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+2$
$\mathbf{322} := T\left(C\left(3\right)\right)+C\left(2\right)-C\left(Q\left(2\right)\right)$
$\mathbf{322} := T\left(C\left(3\right)\right)+C\left(2\right)-Q\left(C\left(2\right)\right)$
$\mathbf{322} := T\left(C\left(3\right)-2\right)-T\left(2\right)$
$\mathbf{322} := T\left(Q\left(F\left(3\right)\right)!\right)+22$
$\mathbf{322} := T\left(T\left(T\left(3\right)\right)\right)+T\left(F\left(F\left(2\right)+T\left(T\left(2\right)\right)\right)\right)$

$\mathbf{323} := C\left(3\right)+C\left(C\left(2\right)\right)-C\left(3!\right)$
$\mathbf{323} := C\left(3\right)+C\left(C\left(2\right)\right)-C\left(T\left(3\right)\right)$
$\mathbf{323} := C\left(Q\left(F\left(3\right)\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+3$
$\mathbf{323} := F\left(Q\left(3\right)\times 2\right)/F\left(3!\right)$
$\mathbf{323} := -F\left(3\right)+T\left(Q\left(2+3\right)\right)$
$\mathbf{323} := F\left(Q\left(3\right)\right)+Q\left(C\left(2\right)+Q\left(3\right)\right)$
$\mathbf{323} := F\left(T\left(3\right)\times T\left(2\right)\right)/F\left(T\left(3\right)\right)$
$\mathbf{323} := Q\left(F\left(3!\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+3$
$\mathbf{323} := T\left(C\left(3\right)\right)-T\left(C\left(2\right)+F\left(3\right)\right)$
$\mathbf{323} := T\left(C\left(3\right)\right)-T\left(Q\left(2\right)+T\left(3\right)\right)$
$\mathbf{323} := T\left(Q\left(F\left(3\right)\right)!\right)+23$

$\mathbf{324} := \left(T\left(3\right)\times T\left(2\right)\right)^{\sqrt{4}}$
$\mathbf{324} := \left(T\left(3\right)\times T\left(2\right)\right)^{F\left(F\left(4\right)\right)}$
$\mathbf{324} := \left(T\left(3\right)-2\right)!+T\left(4!\right)$
$\mathbf{324} := C\left(3\right)\times\left(C\left(2\right)+4\right)$
$\mathbf{324} := C\left(Q\left(F\left(3\right)\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+4$
$\mathbf{324} := Q\left(3\times\left(2+4\right)\right)$
$\mathbf{324} := Q\left(F\left(3!\right)\right)+Q\left(Q\left(Q\left(2\right)\right)\right)+4$

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$\mathbf{324} := T(3) \times (-F(2) + F(T(4)))$
$\mathbf{324} := -T(3) + T(T(2)) \times T(T(4))$
$\mathbf{324} := T(Q(F(3))!) + 24$

$\mathbf{325} := (Q(3) + Q(2)) \times Q(5)$
$\mathbf{325} := C(Q(F(3))) + Q(Q(Q(2))) + 5$
$\mathbf{325} := Q(F(3!)) + Q(Q(Q(2))) + 5$
$\mathbf{325} := T((3+2) \times 5)$
$\mathbf{325} := T(Q(F(3))!) + 25$

$\mathbf{326} := C(Q(F(3))) + Q(Q(Q(2))) + 6$
$\mathbf{326} := F(3) + Q(F(Q(2)) \times 6)$
$\mathbf{326} := F(F(3)) + T(Q(2) + T(6))$
$\mathbf{326} := Q(F(3!)) + Q(Q(Q(2))) + 6$
$\mathbf{326} := T(C(3)) - Q(Q(2)) - Q(6)$
$\mathbf{326} := T(Q(F(3))!) + 26$
$\mathbf{326} := T(T(T(3))) - T(Q(Q(2))) + T(T(6))$

$\mathbf{327} := C(3) + T((-T(2) + 7)!)$
$\mathbf{327} := C(Q(F(3))) + Q(Q(Q(2))) + 7$
$\mathbf{327} := -F(3) \times C(2) + C(7)$
$\mathbf{327} := -F(3)^{Q(2)} + C(7)$
$\mathbf{327} := F(3) + T(-T(2) + T(7))$
$\mathbf{327} := F(Q(3)) \times T(Q(2)) - F(7)$
$\mathbf{327} := -Q(3! - 2) + C(7)$
$\mathbf{327} := Q(F(3!)) + Q(Q(Q(2))) + 7$
$\mathbf{327} := -Q(Q(3)) + 2 + T(T(7))$
$\mathbf{327} := T(C(3)) - 2 - Q(7)$
$\mathbf{327} := T(Q(F(3))!) + 27$

$\mathbf{328} := (T(Q(3)) - Q(2)) \times 8$
$\mathbf{328} := 3 + T(Q(2) + F(8))$
$\mathbf{328} := -C(F(3)) + Q(Q(2)) \times F(8)$
$\mathbf{328} := C(Q(F(3))) + Q(Q(Q(2))) + 8$
$\mathbf{328} := -F(3!) + Q(Q(2)) \times F(8)$
$\mathbf{328} := Q(F(3!)) + Q(Q(Q(2))) + 8$
$\mathbf{328} := T(Q(F(3))!) + 28$

$\mathbf{329} := (C(T(T(3))) - T(C(T(2)))) / C\left(\sqrt{9}\right)$
$\mathbf{329} := C(Q(F(3))) + Q(Q(Q(2))) + 9$
$\mathbf{329} := F(F(3!) \times 2) / \sqrt{9}$
$\mathbf{329} := F(F(T(3)) \times 2) / \sqrt{9}$
$\mathbf{329} := F(F(3) \times C(2)) / \sqrt{9}$
$\mathbf{329} := F\left(F(3)^{Q(2)}\right) / \sqrt{9}$
$\mathbf{329} := Q(F(3!)) + Q(Q(Q(2))) + 9$
$\mathbf{329} := -Q(Q(3!) - Q(Q(2))) + C(9)$
$\mathbf{329} := T(C(3)) - Q(2) - T(9)$
$\mathbf{329} := T(Q(F(3))!) + 29$
$\mathbf{329} := T(Q(T(3))) - Q(Q(Q(2))) - Q(9)$

$\mathbf{330} := 3! \times F(Q(3) + 0!)$
$\mathbf{330} := T(3) \times F(T(3 + 0!))$
$\mathbf{330} := T(3) \times T(Q(3) + 0!)$
$\mathbf{330} := T(3) \times T(T(3 + 0!))$
$\mathbf{330} := T(Q(F(3))!) + 30$
$\mathbf{330} := -T(T(3)) + T(C(3) - 0!)$

$\mathbf{331} := T(3) + T(Q(T(3) - 1))$
$\mathbf{331} := T(Q(F(3))!) + 31$

$\mathbf{332} := C(C(F(3))) - C(T(3)) + T(C(2))$
$\mathbf{332} := C(F(3)) + Q(Q(3) \times 2)$
$\mathbf{332} := C(F(3)) + Q(T(3) \times T(2))$
$\mathbf{332} := F(3!) + Q(Q(3) \times 2)$
$\mathbf{332} := F(T(3)) + Q(Q(3) \times 1)$
$\mathbf{332} := Q(C(3) - Q(3)) + C(2)$

$\mathbf{332} := T\left(Q\left(F\left(3\right)\right)!\right) + 32$
$\mathbf{332} := T\left(T\left(F\left(T\left(3\right)\right)\right)\right)/F\left(3\right) - F\left(2\right)$
$\mathbf{332} := T\left(T\left(Q\left(3\right)\right)\right) - T\left(T\left(T\left(3\right)\right) + Q\left(Q\left(2\right)\right)\right)$

$\mathbf{333} := 3!!/F\left(3\right) - C\left(3\right)$
$\mathbf{333} := C\left(F\left(3\right)\right) + T\left(C\left(3\right) - F\left(3\right)\right)$
$\mathbf{333} := Q\left(3\right) + Q\left(C\left(3\right) - Q\left(3\right)\right)$
$\mathbf{333} := Q\left(3\right) + Q\left(Q\left(3\right) + Q\left(3\right)\right)$
$\mathbf{333} := T\left(C\left(3\right)\right) - T\left(3 \times 3\right)$
$\mathbf{333} := T\left(Q\left(F\left(3\right)\right)!\right) + 33$
$\mathbf{333} := T\left(T\left(3\right)^{F(3)}\right)/F\left(3\right)$

$\mathbf{334} := -3 + Q\left(Q\left(3\right)\right) + Q\left(Q\left(4\right)\right)$
$\mathbf{334} := F\left(3 \times 3\right) + T\left(4!\right)$
$\mathbf{334} := -Q\left(3\right) + C\left(3 + 4\right)$
$\mathbf{334} := Q\left(3\right) + T\left(Q\left(3\right) + Q\left(4\right)\right)$
$\mathbf{334} := T\left(3\right)! - T\left(C\left(3\right)\right) - \sqrt{C\left(4\right)}$
$\mathbf{334} := T\left(Q\left(F\left(3\right)\right)!\right) + 34$
$\mathbf{334} := T\left(T\left(F\left(T\left(3\right)\right)\right)\right)/F\left(3\right) + F\left(\sqrt{4}\right)$
$\mathbf{334} := T\left(T\left(F\left(T\left(3\right)\right)\right)\right)/F\left(3\right) + F\left(F\left(F\left(4\right)\right)\right)$

$\mathbf{335} := 3!!/F\left(3\right) - Q\left(5\right)$
$\mathbf{335} := C\left(3!\right) - 3! + C\left(5\right)$
$\mathbf{335} := C\left(T\left(3\right)\right) - T\left(3\right) + C\left(5\right)$
$\mathbf{335} := -F\left(F\left(3\right)\right) + F\left(3!\right)!/5!$
$\mathbf{335} := -F\left(F\left(3\right)\right) + F\left(T\left(3\right)\right)!/5!$
$\mathbf{335} := Q\left(Q\left(3!\right)\right) - Q\left(3! + Q\left(5\right)\right)$
$\mathbf{335} := Q\left(Q\left(T\left(3\right)\right)\right) - Q\left(T\left(3\right) + Q\left(5\right)\right)$
$\mathbf{335} := T\left(F\left(3\right) + F\left(3\right)\right) + T\left(Q\left(5\right)\right)$
$\mathbf{335} := T\left(Q\left(F\left(3\right)\right)!\right) + 35$

$\mathbf{336} := \left(3!! + Q\left(Q\left(3!\right)\right)\right)/6$
$\mathbf{336} := 3!!/3! + C\left(6\right)$
$\mathbf{336} := C\left(3!\right) + \left(-3 + F\left(6\right)\right)!$
$\mathbf{336} := C\left(F\left(3\right)\right) \times \left(3! + Q\left(6\right)\right)$
$\mathbf{336} := C\left(F\left(3\right)\right) \times F\left(3\right) \times T\left(6\right)$
$\mathbf{336} := F\left(3!\right) \times \left(3! + Q\left(6\right)\right)$
$\mathbf{336} := F\left(3\right) \times F\left(3!\right) \times F\left(F\left(6\right)\right)$
$\mathbf{336} := F\left(T\left(3\right)\right) \times F\left(3\right) \times T\left(6\right)$
$\mathbf{336} := Q\left(T\left(3\right)\right) + T\left(3 + T\left(6\right)\right)$
$\mathbf{336} := T\left(3 \times T\left(T\left(3\right)\right)\right)/6$
$\mathbf{336} := T\left(Q\left(F\left(3\right)\right)!\right) + 36$
$\mathbf{336} := T\left(T\left(3\right)\right) \times C\left(3\right) - T\left(T\left(6\right)\right)$

$\mathbf{337} := -\left(3 + 3\right) + C\left(7\right)$
$\mathbf{337} := Q\left(Q\left(3\right)\right) + Q\left(Q\left(3\right) + 7\right)$
$\mathbf{337} := T\left(Q\left(F\left(3\right)\right)!\right) + 37$

$\mathbf{338} := \left(3 + Q\left(T\left(Q\left(3\right)\right)\right)\right)/\sqrt{T\left(8\right)}$
$\mathbf{338} := F\left(3\right) \times Q\left(F\left(Q\left(3\right)\right) - F\left(8\right)\right)$
$\mathbf{338} := T\left(C\left(3\right)\right) - F\left(Q\left(3\right)\right) - \sqrt{T\left(8\right)}$
$\mathbf{338} := T\left(Q\left(F\left(3\right)\right)!\right) + 38$

$\mathbf{339} := -F\left(3\right)^{F(T(3))} + T\left(F\left(9\right)\right)$
$\mathbf{339} := -F\left(C\left(F\left(3\right)\right)\right) + 3!!/F\left(\sqrt{9}\right)$
$\mathbf{339} := -F\left(F\left(3!\right)\right) + 3!!/F\left(\sqrt{9}\right)$
$\mathbf{339} := -Q\left(F\left(3\right)\right) + C\left(-F\left(3\right) + 9\right)$
$\mathbf{339} := Q\left(Q\left(F\left(3\right)\right)\right) \times F\left(F\left(3!\right)\right) + \sqrt{9}$
$\mathbf{339} := Q\left(T\left(T\left(3\right)\right)\right) - T\left(T\left(3\right)\right) - Q\left(9\right)$
$\mathbf{339} := T\left(C\left(3\right)\right) - 39$
$\mathbf{339} := T\left(Q\left(F\left(3\right)\right)!\right) + 39$

$\mathbf{340} := -3 + C\left(\sqrt{C\left(4\right)} - 0!\right)$
$\mathbf{340} := -3 + C\left(F\left(4\right)! + 0!\right)$
$\mathbf{340} := -3 + C\left(T\left(F\left(4\right)\right) + 0!\right)$
$\mathbf{340} := F\left(Q\left(3\right)\right) \times \left(Q\left(F\left(4\right)\right) + 0!\right)$

$\mathbf{340} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 0$
$\mathbf{340} := Q\left(T\left(T\left(3\right)\right)\right) - Q\left(T\left(4\right)\right) - 0!$
$\mathbf{340} := T\left(Q\left(F\left(3\right)\right)!\right) + 40$

$\mathbf{341} := C\left(3!\right) + C\left(4 + 1\right)$
$\mathbf{341} := C\left(T\left(3\right)\right) + C\left(4 + 1\right)$
$\mathbf{341} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 1$
$\mathbf{341} := Q\left(F\left(F\left(3!\right)\right)\right) - Q\left(Q\left(F\left(4\right)\right) + 1\right)$
$\mathbf{341} := T\left(Q\left(F\left(3\right)\right)!\right) + 41$
$\mathbf{341} := T\left(Q\left(T\left(3\right)\right)\right) - T\left(Q\left(4 + 1\right)\right)$
$\mathbf{341} := T\left(T\left(F\left(T\left(3\right)\right)\right)\right) - T\left(4! + 1\right)$

$\mathbf{342} := \left(F\left(3\right) + F\left(T\left(4\right)\right)\right) \times T\left(T\left(2\right)\right)$
$\mathbf{342} := \left(Q\left(Q\left(3\right)\right) - 4!\right) \times F\left(Q\left(2\right)\right)!$
$\mathbf{342} := \left(T\left(3\right)\right)! - T\left(4! + T\left(2\right)\right)$
$\mathbf{342} := \left(T\left(3\right)\right)! - T\left(F\left(4\right)^{T(2)}\right)$
$\mathbf{342} := C\left(3 + 4\right) - F\left(2\right)$
$\mathbf{342} := F\left(3\right) \times T\left(Q\left(4\right) + 2\right)$
$\mathbf{342} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 2$
$\mathbf{342} := T\left(3\right) \times \left(F\left(T\left(4\right)\right) + 2\right)$
$\mathbf{342} := T\left(3\right) \times \left(T\left(T\left(4\right)\right) + 2\right)$
$\mathbf{342} := T\left(Q\left(F\left(3\right)\right)!\right) + 42$

$\mathbf{343} := \left(3 + 4\right)^{3}$
$\mathbf{343} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 3$
$\mathbf{343} := T\left(Q\left(F\left(3\right)\right)!\right) + 43$

$\mathbf{344} := 3!!/\sqrt{4} - Q\left(4\right)$
$\mathbf{344} := C\left(3!\right) + C\left(4\right) + C\left(4\right)$
$\mathbf{344} := C\left(T\left(3\right)\right) + C\left(4\right) + C\left(4\right)$
$\mathbf{344} := F\left(F\left(3\right)\right) + C\left(F\left(4\right) + 4\right)$
$\mathbf{344} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 4$
$\mathbf{344} := Q\left(T\left(3\right)\right) \times T\left(4\right) - Q\left(4\right)$
$\mathbf{344} := T\left(F\left(T\left(3\right)\right)\right) + F\left(T\left(F\left(4\right)\right)\right) + T\left(4!\right)$
$\mathbf{344} := T\left(Q\left(3\right)\right) - F\left(\sqrt{4}\right) + T\left(4!\right)$
$\mathbf{344} := T\left(Q\left(F\left(3\right)\right)!\right) + 44$

$\mathbf{345} := \left(C\left(3\right) - 4\right) \times T\left(5\right)$
$\mathbf{345} := \left(T\left(T\left(3\right)\right) + \sqrt{4}\right) \times T\left(5\right)$
$\mathbf{345} := \left(T\left(T\left(3\right)\right) + F\left(F\left(4\right)\right)\right) \times T\left(5\right)$
$\mathbf{345} := C\left(3!\right) + 4 + C\left(5\right)$
$\mathbf{345} := F\left(3\right) + C\left(\sqrt{4} + 5\right)$
$\mathbf{345} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 5$
$\mathbf{345} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(4\right)\right) + Q\left(5\right)$
$\mathbf{345} := Q\left(-Q\left(3\right) + 4!\right) + 5!$
$\mathbf{345} := Q\left(T\left(3\right)\right) - Q\left(4\right) + T\left(Q\left(5\right)\right)$
$\mathbf{345} := T\left(3\right) \times F\left(T\left(4\right)\right) + T\left(5\right)$
$\mathbf{345} := T\left(3\right) \times T\left(T\left(4\right)\right) + T\left(5\right)$
$\mathbf{345} := T\left(Q\left(F\left(3\right)\right)!\right) + 45$
$\mathbf{345} := T\left(T\left(3\right)\right) + Q\left(F\left(4\right) + T\left(5\right)\right)$

$\mathbf{346} := 3 + C\left(F\left(\sqrt{4}\right) + 6\right)$
$\mathbf{346} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 6$
$\mathbf{346} := Q\left(Q\left(Q\left(F\left(3\right)\right)\right)\right) + F\left(4\right)!!/F\left(6\right)$
$\mathbf{346} := T\left(C\left(3\right)\right) + \left(4 - Q\left(6\right)\right)$
$\mathbf{346} := T\left(Q\left(F\left(3\right)\right)!\right) + 46$
$\mathbf{346} := T\left(T\left(3\right)\right) + T\left(4 + T\left(6\right)\right)$

$\mathbf{347} := \left(T\left(3\right)\right)!/\sqrt{4} - F\left(7\right)$
$\mathbf{347} := \left(T\left(3\right)\right)!/F\left(F\left(4\right)\right) - F\left(7\right)$
$\mathbf{347} := 3!!/\sqrt{4} - F\left(7\right)$
$\mathbf{347} := 3!!/F\left(F\left(4\right)\right) - F\left(7\right)$
$\mathbf{347} := 3! - \sqrt{4} + C\left(7\right)$
$\mathbf{347} := -3 + \sqrt{Q\left(T\left(4\right)\right) \times T\left(Q\left(7\right)\right)}$
$\mathbf{347} := F\left(3\right)^{F(T(F(4)))} + T\left(F\left(7\right)\right)$
$\mathbf{347} := F\left(3\right) + \sqrt{4} + C\left(7\right)$

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$\mathbf{347} := F(Q(3)) \times T(4) + 7$
$\mathbf{347} := Q(T(3)) \times T(4) - F(7)$
$\mathbf{347} := T(3) - \sqrt{4} + C(7)$
$\mathbf{347} := T(Q(F(3))!) + 47$

$\mathbf{348} := (3 + F(T(4))) \times \sqrt{T(8)}$
$\mathbf{348} := (3 + T(T(4))) \times \sqrt{T(8)}$
$\mathbf{348} := -3! \times (F(4)! - Q(8))$
$\mathbf{348} := -3 + T(-T(4) + T(8))$
$\mathbf{348} := F(Q(3)) \times T(4) + 8$
$\mathbf{348} := T(3) \times C(4) - T(8)$
$\mathbf{348} := T(Q(F(3))!) + 48$

$\mathbf{349} := 3! + \sqrt{C(49)}$
$\mathbf{349} := 3! + C\left(\sqrt{49}\right)$
$\mathbf{349} := T(3) + C\left(\sqrt{49}\right)$
$\mathbf{349} := T(Q(F(3))!) + 49$
$\mathbf{349} := -F(3) + T(-F(T(F(4))) + F(9))$
$\mathbf{349} := F(Q(3)) \times T(4) + 9$
$\mathbf{349} := Q(3) + T(4) \times F(9)$
$\mathbf{349} := T(F(3) + 4!) - F\left(\sqrt{9}\right)$
$\mathbf{349} := T(T(F(T(3))) - T(4)) - F\left(\sqrt{9}\right)$

$\mathbf{350} := -C(3) + F(T(5) - 0!)$
$\mathbf{350} := -F(F(3)) + T(Q(5) + 0!)$
$\mathbf{350} := T(Q(F(3))!) + 50$
$\mathbf{350} := T(T(T(3))) + 5! - 0!$

$\mathbf{351} := C(3) + T(Q(5)) - 1$
$\mathbf{351} := T(F(3) + (5-1)!)$
$\mathbf{351} := T(Q(F(3))!) + 51$
$\mathbf{351} := T(Q(T(3)) - T(5-1))$
$\mathbf{351} := T(T(T(3)) + 5 \times 1)$

$\mathbf{352} := (-3 + Q(5)) \times Q(Q(2))$
$\mathbf{352} := 3 \times 5! - C(2)$
$\mathbf{352} := C(3) + T\left(5^2\right)$
$\mathbf{352} := F(F(3)) + T(Q(5) + F(2))$
$\mathbf{352} := -F(T(3)) + 5! \times T(2)$
$\mathbf{352} := -F(T(3)) + T(T(5)) \times T(2)$
$\mathbf{352} := Q(3) + C(5+2)$
$\mathbf{352} := -Q(3) + Q(T(5) + Q(2))$
$\mathbf{352} := T(Q(F(3))!) + 52$

$\mathbf{353} := (Q(Q(3)) + Q(Q(5)))/F(3)$
$\mathbf{353} := F(3) + T(T(T(3)) + 5)$
$\mathbf{353} := F(Q(3)) + T(Q(5)) - T(3)$
$\mathbf{353} := T(C(3)) - 5^{F(3)}$
$\mathbf{353} := T(C(3)) - Q(T(5)/3)$
$\mathbf{353} := T(Q(F(3))!) + 53$
$\mathbf{353} := T(T(T(3))) + C(5) - 3$

$\mathbf{354} := (-F(3) + T(T(5))) \times F(4)$
$\mathbf{354} := -(F(3) - 5!) \times F(4)$
$\mathbf{354} := (Q(Q(3!)) + 5!)/4$
$\mathbf{354} := 3! \times (-5 + C(4))$
$\mathbf{354} := 3 \times \left(5! - \sqrt{4}\right)$
$\mathbf{354} := -T(3) + T(5) \times 4!$
$\mathbf{354} := -T(3) + T(T(5)) \times T\left(\sqrt{4}\right)$ $\mathbf{354}:= T(Q(F(3))!) + 54$

$\mathbf{355} := 3 \times 5! - 5$
$\mathbf{355} := 3 \times T(T(5)) - 5$
$\mathbf{355} := T(Q(F(3))!) + 55$
$\mathbf{356} := F(F(3)) \times C(5) + T(T(6))$
$\mathbf{356} := F(-F(F(3)) + T(5)) - T(6)$

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$\mathbf{356} := Q\left(F\left(3\right)\right) \times F\left(5+6\right)$
$\mathbf{356} := T\left(Q\left(F\left(3\right)\right)!\right) + 56$
$\mathbf{356} := T\left(T\left(T\left(3\right)\right)\right) + \sqrt{5^6}$

$\mathbf{357} := \left(T\left(F\left(T\left(3\right)\right)\right) + T\left(5\right)\right) \times 7$
$\mathbf{357} := -F\left(F\left(3\right)\right) + C\left(5\right) + F\left(F\left(7\right)\right)$
$\mathbf{357} := Q\left(3\right) + 5 + C\left(7\right)$
$\mathbf{357} := Q\left(F\left(3\right)\right) + 5! + F\left(F\left(7\right)\right)$
$\mathbf{357} := Q\left(Q\left(3\right)\right) + T\left(-5 + T\left(7\right)\right)$
$\mathbf{357} := T\left(C\left(3\right)\right) - F\left(T\left(5\right) - 7\right)$
$\mathbf{357} := T\left(C\left(3\right)\right) - T\left(T\left(T\left(-5+7\right)\right)\right)$
$\mathbf{357} := T\left(Q\left(F\left(3\right)\right)!\right) + 57$

$\mathbf{358} := -3 + T\left(Q\left(5\right)\right) + T\left(8\right)$
$\mathbf{358} := F\left(3\right) + C\left(5\right) + T\left(F\left(8\right)\right)$
$\mathbf{358} := -F\left(Q\left(3\right)\right) - 5! + C\left(8\right)$
$\mathbf{358} := T\left(C\left(3\right)\right) - 5!/\sqrt{T\left(8\right)}$
$\mathbf{358} := T\left(Q\left(F\left(3\right)\right)!\right) + 58$
$\mathbf{358} := -T\left(T\left(3\right)\right) + F\left(T\left(5\right)\right) - T\left(F\left(8\right)\right)$

$\mathbf{359} := -\left(T\left(T\left(T\left(3\right)\right)\right) + \left(5 - T\left(F\left(9\right)\right)\right)\right)$
$\mathbf{359} := 3!! - Q\left(Q\left(5\right) - \left(\sqrt{9}\right)!\right)$
$\mathbf{359} := F\left(F\left(3\right)\right) \times T\left(Q\left(5\right)\right) + F\left(9\right)$
$\mathbf{359} := -F\left(F\left(3\right)\right) + 5! \times \sqrt{9}$
$\mathbf{359} := -F\left(F\left(3\right)\right) + T\left(T\left(5\right)\right) \times \sqrt{9}$
$\mathbf{359} := T\left(3\right)! - Q\left(Q\left(5\right) - T\left(\sqrt{9}\right)\right)$
$\mathbf{359} := T\left(C\left(3\right)\right) + T\left(5\right) - F\left(9\right)$
$\mathbf{359} := T\left(C\left(3\right)\right) - Q\left(5\right) + T\left(\sqrt{9}\right)$
$\mathbf{359} := T\left(T\left(T\left(3\right)\right)\right) + C\left(5\right) + \sqrt{9}$
$\mathbf{359} := T\left(Q\left(F\left(3\right)\right)!\right) + 59$

$\mathbf{360} := 3! \times 60$
$\mathbf{360} := T\left(3\right) \times 60$
$\mathbf{360} := T\left(Q\left(F\left(3\right)\right)!\right) + 60$

$\mathbf{361} := Q\left(3 \times 6 + 1\right)$
$\mathbf{361} := T\left(Q\left(F\left(3\right)\right)!\right) + 61$

$\mathbf{362} := F\left(3\right) + 6!/2$
$\mathbf{362} := T\left(\sqrt{3^6}\right) - Q\left(Q\left(2\right)\right)$
$\mathbf{362} := T\left(C\left(3\right)\right) - Q\left(6-2\right)$
$\mathbf{362} := T\left(Q\left(F\left(3\right)\right)!\right) + 62$

$\mathbf{363} := \left(1/3\right) \times Q\left(C\left(3\right) + 6\right)$
$\mathbf{363} := \left(3! + 6!\right)/F\left(3\right)$
$\mathbf{363} := \left(T\left(3\right) + 6!\right)/F\left(3\right)$
$\mathbf{363} := 3 + Q\left(T\left(6\right)\right) - Q\left(Q\left(3\right)\right)$
$\mathbf{363} := Q\left(-3 + Q\left(6\right)\right)/3$
$\mathbf{363} := T\left(C\left(3\right)\right) - 6 - Q\left(3\right)$
$\mathbf{363} := T\left(C\left(3\right)\right) - T\left(6\right) + T\left(3\right)$
$\mathbf{363} := T\left(Q\left(F\left(3\right)\right)!\right) + 63$

$\mathbf{364} := \left(C\left(F\left(3\right)\right) + 6!\right)/\sqrt{4}$
$\mathbf{364} := \left(F\left(3!\right) + 6!\right)/\sqrt{4}$
$\mathbf{364} := \left(F\left(3!\right) + 6!\right)/F\left(F\left(4\right)\right)$
$\mathbf{364} := \left(F\left(T\left(3\right)\right) + 6!\right)/\sqrt{4}$
$\mathbf{364} := \left(F\left(T\left(3\right)\right) + 6!\right)/F\left(F\left(4\right)\right)$
$\mathbf{364} := 3 \times Q\left(6\right) + Q\left(Q\left(4\right)\right)$
$\mathbf{364} := 3 + Q\left(T\left(6\right) - \sqrt{4}\right)$
$\mathbf{364} := T\left(T\left(T\left(3\right)\right) - F\left(6\right)\right) \times 4$
$\mathbf{364} := Q\left(F\left(3\right)\right) + 6!/\sqrt{4}$
$\mathbf{364} := T\left(3 + T\left(6\right)\right) + C\left(4\right)$
$\mathbf{364} := T\left(Q\left(F\left(3\right)\right)!\right) + 64$
$\mathbf{364} := T\left(T\left(3\right)\right) + C\left(T\left(6\right)/F\left(4\right)\right)$
$\mathbf{364} := -T\left(T\left(T\left(3\right)\right)\right) + T\left(-T\left(6\right) + T\left(T\left(4\right)\right)\right)$

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$\mathbf{365} := -C(3) + C(F(6)) - 5!$
$\mathbf{365} := Q(3) + T(T(6)) + C(5)$
$\mathbf{365} := Q(F(3)) + Q(-6 + Q(5))$
$\mathbf{365} := T(C(3)) - F(6) - 5$
$\mathbf{365} := T(Q(F(3))!) + 65$

$\mathbf{366} := (-3 + Q(F(6))) \times 6$
$\mathbf{366} := -Q(Q(3)) + 6 + Q(T(6))$
$\mathbf{366} := -T(3 \times F(6)) + T(T(F(6)))$
$\mathbf{366} := T(C(3)) - (6 + 6)$
$\mathbf{366} := T(Q(F(3))!) + 66$

$\mathbf{367} := \sqrt{-3!! + Q(Q(6))} + C(7)$
$\mathbf{367} := 3! + Q(6 + F(7))$
$\mathbf{367} := 3 \times F(6) + C(7)$
$\mathbf{367} := 3 + T(6) + C(7)$
$\mathbf{367} := -3 - Q(6) + T(T(7))$
$\mathbf{367} := T(3) + Q(6 + F(7))$
$\mathbf{367} := T(F(3) + T(6)) + T(F(7))$
$\mathbf{367} := T(Q(F(3))!) + 67$

$\mathbf{368} := C(3!) + C(6) - Q(8)$
$\mathbf{368} := C(T(3)) + C(6) - Q(8)$
$\mathbf{368} := F(3) \times C(6) - Q(8)$
$\mathbf{368} := -F(6 \times F(3)) + C(8)$
$\mathbf{368} := -Q(3) + F(6 + 8)$
$\mathbf{368} := -Q(3) + Q(T(6)) - Q(8)$
$\mathbf{368} := T(Q(F(3))!) + 68$

$\mathbf{369} := -3!! + Q\left(Q(6) - \sqrt{9}\right)$
$\mathbf{369} := C(F(3)) \times Q(6) + Q(9)$
$\mathbf{369} := -C(F(3)) + F\left(F(6) + \left(\sqrt{9}\right)!\right)$
$\mathbf{369} := C(T(3)) + T(F(6) + 9)$
$\mathbf{369} := F(3!) \times Q(6) + Q(9)$
$\mathbf{369} := -F(3!) + F\left(F(6) + \left(\sqrt{9}\right)!\right)$
$\mathbf{369} := Q(3 \times 6) + T(9)$
$\mathbf{369} := T\left(\sqrt{3^6}\right) - 9$
$\mathbf{369} := -T(36) + T(T(9))$
$\mathbf{369} := T(C(3)) - 6 - \sqrt{9}$
$\mathbf{369} := T(Q(F(3))!) + 69$

$\mathbf{370} := -(Q(T(3)) - T(T(7))) \times 0!$
$\mathbf{370} := C(3) + C(7) + 0$
$\mathbf{370} := -F(T(3)) + T(T(7) - 0!)$
$\mathbf{370} := Q(F(F(3!))) - \sqrt{7! + 0!}$
$\mathbf{370} := -Q(T(3)) + T(T(7)) + 0$
$\mathbf{370} := -T(F(T(3))) + T(T(7)) + 0$
$\mathbf{370} := T(Q(F(3))!) + 70$

$\mathbf{371} := -3! + F(F(7) + 1)$
$\mathbf{371} := C(3) + C(7) + 1$
$\mathbf{371} := -Q(T(3)) + T(T(7)) + 1$
$\mathbf{371} := -T(3) + F(F(7) + 1)$
$\mathbf{371} := -T(F(T(3))) + T(T(7)) + 1$
$\mathbf{371} := T(Q(F(3))!) + 71$

$\mathbf{372} := C(3) + C(7) + 2$
$\mathbf{372} := F(Q(3)) + Q(F(7)) \times 2$
$\mathbf{372} := -Q(T(3)) + T(T(7)) + 2$
$\mathbf{372} := -T(F(T(3))) + T(T(7)) + 2$
$\mathbf{372} := T(Q(F(3))!) + 72$
$\mathbf{372} := T(T(3)) + T(T(7) - 2)$

$\mathbf{373} := 3 + C(7) + C(3)$
$\mathbf{373} := 3 + T(T(7)) - Q(T(3))$

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$\mathbf{373} := 3 + T(T(7)) - T(F(T(3)))$
$\mathbf{373} := C(3) + C(7) + 3$
$\mathbf{373} := F(F(3) \times 7) - Q(F(3))$
$\mathbf{373} := Q(F(3)) \times T(F(7)) + Q(3)$
$\mathbf{373} := -Q(T(3)) + T(T(7)) + 3$
$\mathbf{373} := -T(F(T(3))) + T(T(7)) + 3$
$\mathbf{373} := T(Q(F(3))!) + 73$

$\mathbf{374} := ((T(3))! + T(7))/\sqrt{4}$
$\mathbf{374} := -3 + F\left(7 \times \sqrt{4}\right)$
$\mathbf{374} := -3 + F\left(T(7)/\sqrt{4}\right)$
$\mathbf{374} := C(3) + C(7) + 4$
$\mathbf{374} := F(F(3) \times 7) - F(4)$
$\mathbf{374} := F(Q(3)) \times (7 + 4)$
$\mathbf{374} := Q(Q(3)) - 7 + T(4!)$
$\mathbf{374} := -Q(T(3)) + T(T(7)) + 4$
$\mathbf{374} := -T(F(T(3))) + T(T(7)) + 4$
$\mathbf{374} := T(Q(F(3))!) + 74$

$\mathbf{375} := (-3 + T(7)) \times T(5)$
$\mathbf{375} := (F(3) + F(7)) \times Q(5)$
$\mathbf{375} := C(3) + C(7) + 5$
$\mathbf{375} := -Q(T(3)) + T(T(7)) + 5$
$\mathbf{375} := -T(F(T(3))) + T(T(7)) + 5$
$\mathbf{375} := T(Q(F(3))!) + 75$

$\mathbf{376} := -(F(3) - Q(7)) \times F(6)$
$\mathbf{376} := -3 + C(7) + Q(6)$
$\mathbf{376} := C(3) + C(7) + 6$
$\mathbf{376} := -F(F(3)) + F(-7 + F(F(6)))$
$\mathbf{376} := -Q(3) + T(T(7)) - T(6)$
$\mathbf{376} := -Q(T(3)) + T(T(7)) + 6$
$\mathbf{376} := T(3) + T(T(7)) - T(F(6))$
$\mathbf{376} := -T(F(T(3))) + T(T(7)) + 6$
$\mathbf{376} := T(Q(F(3))!) + 76$

$\mathbf{377} := 3!! - 7 \times Q(7)$
$\mathbf{377} := C(3) + 7 + C(7)$
$\mathbf{377} := C(3) + C(7) + 7$
$\mathbf{377} := F(3 \times 7 - 7)$
$\mathbf{377} := -Q(T(3)) + T(T(7)) + 7$
$\mathbf{377} := T(3)! - 7 \times Q(7)$
$\mathbf{377} := -T(F(T(3))) + T(T(7)) + 7$
$\mathbf{377} := T(Q(F(3))!) + 77$

$\mathbf{378} := C(3) + C(7) + 8$
$\mathbf{378} := F(F(3)) + F(-7 + F(8))$
$\mathbf{378} := -Q(T(3)) + T(T(7)) + 8$
$\mathbf{378} := T(-37 + Q(8))$
$\mathbf{378} := -T(F(T(3))) + T(T(7)) + 8$
$\mathbf{378} := T(Q(F(3))!) + 78$
$\mathbf{378} := T(T(3) + F(7) + 8)$
$\mathbf{378} := T\left(T(T(3)) + \sqrt{T(7) + 8}\right)$

$\mathbf{379} := C(3) + C(7) + 9$
$\mathbf{379} := F(3) + C(7) + F(9)$
$\mathbf{379} := F(F(3) \times 7) + F\left(\sqrt{9}\right)$
$\mathbf{379} := F(F(3)) + T(-7 + F(9))$
$\mathbf{379} := Q(3!) + 7^{\sqrt{9}}$
$\mathbf{379} := Q(T(3)) + 7^{\sqrt{9}}$
$\mathbf{379} := -Q(T(3)) + T(T(7)) + 9$
$\mathbf{379} := -T(F(T(3))) + T(T(7)) + 9$
$\mathbf{379} := T(Q(F(3))!) + 79$
$\mathbf{379} := -T(T(3)) + T(T(7)) - T\left(\sqrt{9}\right)$

$\mathbf{380} := T(C(3)) + F\left(\sqrt{8 + 0!}\right)$

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$\mathbf{380} := T\left(Q\left(F\left(3\right)\right)!\right) + 80$

$\mathbf{381} := T\left(C\left(3\right)\right) + \sqrt{8+1}$

$\mathbf{381} := T\left(Q\left(F\left(3\right)\right)!\right) + 81$

$\mathbf{382} := 3! \times Q\left(8\right) - 2$

$\mathbf{382} := T\left(3\right) \times Q\left(8\right) - 2$

$\mathbf{382} := T\left(C\left(3\right)\right) + 8/2$

$\mathbf{382} := T\left(Q\left(F\left(3\right)\right)!\right) + 82$

$\mathbf{383} := 3! + F\left(8 + 3!\right)$

$\mathbf{383} := Q\left(T\left(T\left(3\right)\right)\right) - Q\left(8\right) + T\left(3\right)$

$\mathbf{383} := T\left(3\right) + F\left(8 + T\left(3\right)\right)$

$\mathbf{383} := T\left(C\left(3\right)\right) + 8 - 3$

$\mathbf{383} := T\left(Q\left(F\left(3\right)\right)!\right) + 83$

$\mathbf{384} := \left(3 \times 8\right) \times Q\left(4\right)$

$\mathbf{384} := \left(T\left(3\right)\right)! - T\left(8\right) - T\left(4!\right)$

$\mathbf{384} := 3! \times \sqrt{8^4}$

$\mathbf{384} := 3! \times C\left(8 - 4\right)$

$\mathbf{384} := 3 \times C\left(8\right)/4$

$\mathbf{384} := 3 \times Q\left(8\right) \times \sqrt{4}$

$\mathbf{384} := F\left(3\right) \times 8 \times 4!$

$\mathbf{384} := F\left(T\left(3\right)\right) \times 8 \times T\left(F\left(4\right)\right)$

$\mathbf{384} := T\left(3\right) \times \sqrt{8^4}$

$\mathbf{384} := T\left(Q\left(F\left(3\right)\right)!\right) + 84$

$\mathbf{385} := T\left(Q\left(3\right)\right) \times 8 + Q\left(5\right)$

$\mathbf{385} := C\left(3!\right) + Q\left(8 + 5\right)$

$\mathbf{385} := C\left(T\left(3\right)\right) + Q\left(8 + 5\right)$

$\mathbf{385} := -F\left(3\right) + C\left(8\right) - C\left(5\right)$

$\mathbf{385} := F\left(Q\left(3\right)\right) + T\left(F\left(8\right) + 5\right)$

$\mathbf{385} := -Q\left(Q\left(3\right)\right) + Q\left(F\left(8\right)\right) + Q\left(5\right)$

$\mathbf{385} := T\left(3\right) - T\left(F\left(8\right)\right) + F\left(T\left(5\right)\right)$

$\mathbf{385} := T\left(C\left(3\right)\right) - 8 + T\left(5\right)$

$\mathbf{385} := -T\left(T\left(3\right)\right) + T\left(T\left(-8 + T\left(5\right)\right)\right)$

$\mathbf{385} := T\left(Q\left(F\left(3\right)\right)!\right) + 85$

$\mathbf{386} := -3! \times F\left(8\right) + C\left(F\left(6\right)\right)$

$\mathbf{386} := F\left(T\left(3\right)\right) + T\left(F\left(8\right) + 6\right)$

$\mathbf{386} := Q\left(3\right) + F\left(8 + 6\right)$

$\mathbf{386} := Q\left(3\right) - Q\left(8\right) + Q\left(T\left(6\right)\right)$

$\mathbf{386} := T\left(C\left(3\right)\right) + C\left(8 - 6\right)$

$\mathbf{386} := T\left(Q\left(F\left(3\right)\right)!\right) + 86$

$\mathbf{387} := -C\left(3\right) + 8 + T\left(T\left(7\right)\right)$

$\mathbf{387} := C\left(F\left(3\right)\right) + T\left(8\right) + C\left(7\right)$

$\mathbf{387} := F\left(3\right) - F\left(8\right) + T\left(T\left(7\right)\right)$

$\mathbf{387} := F\left(-3 + F\left(8\right)\right) - C\left(F\left(7\right)\right)$

$\mathbf{387} := Q\left(3!\right) + \left(8 + C\left(7\right)\right)$

$\mathbf{387} := Q\left(3\right) \times \left(T\left(8\right) + 7\right)$

$\mathbf{387} := Q\left(-F\left(F\left(3\right)\right) + F\left(8\right)\right) - F\left(7\right)$

$\mathbf{387} := T\left(Q\left(F\left(3\right)\right)!\right) + 87$

$\mathbf{388} := Q\left(3\right) \times T\left(8\right) + Q\left(8\right)$

$\mathbf{388} := Q\left(-3 + F\left(8\right)\right) + Q\left(8\right)$

$\mathbf{388} := T\left(C\left(3\right)\right) + T\left(\sqrt{8+8}\right)$

$\mathbf{388} := T\left(Q\left(F\left(3\right)\right)!\right) + 88$

$\mathbf{389} := Q\left(F\left(T\left(3\right)\right)\right) + T\left(Q\left(8 - \sqrt{9}\right)\right)$

$\mathbf{389} := -Q\left(Q\left(F\left(3\right)\right)\right) + Q\left(F\left(8\right)\right) - Q\left(\left(\sqrt{9}\right)!\right)$

$\mathbf{389} := T\left(C\left(3\right)\right) + 8 + \sqrt{9}$

$\mathbf{389} := T\left(Q\left(F\left(3\right)\right)!\right) + 89$

$\mathbf{390} := 3! \times \left(C\left(Q\left(F\left(\sqrt{9}\right)\right)\right) + 0!\right)$

$\mathbf{390} := 3! \times \left(Q\left(F\left(\left(\sqrt{9}\right)!\right)\right) + 0!\right)$

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$\mathbf{390} := -Q\left(Q\left(F\left(3\right)\right)\right) + T\left(C\left(\sqrt{9}\right) + 0!\right)$

$\mathbf{390} := T\left(Q\left(F\left(3\right)\right)!\right) + 90$

$\mathbf{391} := -Q\left(3\right) + Q\left(F\left(F\left(\left(\sqrt{9}\right)!\right)\right) - 1\right)$

$\mathbf{391} := -Q\left(3\right) + Q\left(T\left(T\left(\sqrt{9}\right)\right) - 1\right)$

$\mathbf{391} := T\left(C\left(3\right)\right) + F\left(T\left(\sqrt{9}\right) + 1\right)$

$\mathbf{391} := T\left(Q\left(F\left(3\right)\right)!\right) + 91$

$\mathbf{392} := -\left(F\left(3\right) + \sqrt{9}\right)! + C\left(C\left(2\right)\right)$

$\mathbf{392} := -3!!/\left(\sqrt{9}\right)! + C\left(C\left(2\right)\right)$

$\mathbf{392} := C\left(F\left(3\right)\right) \times Q\left(9 - 2\right)$

$\mathbf{392} := F\left(3!\right) \times Q\left(9 - 2\right)$

$\mathbf{392} := F\left(T\left(3\right)\right) \times Q\left(9 - 2\right)$

$\mathbf{392} := T\left(3 + T\left(9\right)\right)/T\left(2\right)$

$\mathbf{392} := T\left(C\left(3\right)\right) + T\left(\sqrt{9}\right) + C\left(2\right)$

$\mathbf{392} := T\left(Q\left(F\left(3\right)\right)!\right) + 92$

$\mathbf{393} := -F\left(Q\left(3\right)\right) + Q\left(F\left(9\right)\right) - C\left(Q\left(3\right)\right)$

$\mathbf{393} := Q\left(Q\left(F\left(3\right)\right)\right) + F\left(\left(\sqrt{9}\right)! + F\left(3!\right)\right)$

$\mathbf{393} := Q\left(Q\left(F\left(3\right)\right)\right) + F\left(T\left(\sqrt{9}\right) + F\left(T\left(3\right)\right)\right)$

$\mathbf{393} := Q\left(Q\left(T\left(3\right)\right)\right) - T\left(T\left(9\right) - 3\right)$

$\mathbf{393} := T\left(C\left(3\right)\right) + 9 + T\left(3\right)$

$\mathbf{393} := T\left(Q\left(F\left(3\right)\right)!\right) + 93$

$\mathbf{394} := \left(T\left(T\left(T\left(3\right)\right)\right) - F\left(9\right)\right) \times \sqrt{4}$

$\mathbf{394} := \left(T\left(T\left(T\left(3\right)\right)\right) - F\left(9\right)\right) \times F\left(F\left(4\right)\right)$

$\mathbf{394} := 3!!/F\left(\sqrt{9}\right) + F\left(Q\left(F\left(4\right)\right)\right)$

$\mathbf{394} := -3! + Q\left(Q\left(\left(\sqrt{9}\right)!\right) - Q\left(4\right)\right)$

$\mathbf{394} := -C\left(3!\right) + F\left(-9 + 4!\right)$

$\mathbf{394} := T\left(3 \times 9\right) + Q\left(4\right)$

$\mathbf{394} := T\left(C\left(3\right)\right) + T\left(\sqrt{9}\right) + T\left(4\right)$

$\mathbf{394} := T\left(Q\left(F\left(3\right)\right)!\right) + 94$

$\mathbf{395} := \left(-3 + 9\right)! - T\left(Q\left(5\right)\right)$

$\mathbf{395} := \left(F\left(3\right) - Q\left(9\right)\right) \times \left(-5\right)$

$\mathbf{395} := C\left(C\left(F\left(3\right)\right)\right) + \sqrt{9} - 5!$

$\mathbf{395} := Q\left(3!!/Q\left(\left(\sqrt{9}\right)!\right)\right) - 5$

$\mathbf{395} := T\left(3\right) \times T\left(9\right) + C\left(5\right)$

$\mathbf{395} := T\left(Q\left(F\left(3\right)\right)!\right) + 95$

$\mathbf{396} := \left(F\left(3\right) + 9\right) \times Q\left(6\right)$

$\mathbf{396} := \sqrt{\left(-3 + C\left(9\right)\right) \times C\left(6\right)}$

$\mathbf{396} := 3!! - 9 \times Q\left(6\right)$

$\mathbf{396} := T\left(3\right) \times \left(T\left(9\right) + T\left(6\right)\right)$

$\mathbf{396} := T\left(Q\left(F\left(3\right)\right)!\right) + 96$

$\mathbf{397} := -3 \times \sqrt{9} + T\left(T\left(7\right)\right)$

$\mathbf{397} := 3! \times 9 + C\left(7\right)$

$\mathbf{397} := -F\left(F\left(3\right)\right) \times 9 + T\left(T\left(7\right)\right)$

$\mathbf{397} := T\left(3\right) \times 9 + C\left(7\right)$

$\mathbf{397} := C\left(3\right) + \sqrt{C\left(9\right)} + C\left(7\right)$

$\mathbf{397} := Q\left(3!\right) + Q\left(\left(\sqrt{9}\right)! + F\left(7\right)\right)$

$\mathbf{397} := Q\left(3\right) + T\left(9\right) + C\left(7\right)$

$\mathbf{397} := Q\left(T\left(3\right)\right) + Q\left(-9 + T\left(7\right)\right)$

$\mathbf{397} := T\left(Q\left(F\left(3\right)\right)!\right) + 97$

$\mathbf{398} := F\left(C\left(F\left(3\right)\right)\right) + F\left(\left(\sqrt{9}\right)! + 8\right)$

$\mathbf{398} := F\left(F\left(3!\right)\right) + F\left(\left(\sqrt{9}\right)! + 8\right)$

$\mathbf{398} := F\left(Q\left(3\right)\right) + T\left(F\left(9\right)\right) - T\left(F\left(8\right)\right)$

$\mathbf{398} := -Q\left(3\right) - F\left(9\right) + Q\left(F\left(8\right)\right)$

$\mathbf{398} := Q\left(T\left(T\left(3\right)\right)\right) + T\left(T\left(\sqrt{9}\right)\right) - Q\left(8\right)$

$\mathbf{398} := T\left(C\left(3\right)\right) + T\left(\sqrt{9}\right)!/T\left(8\right)$

$$\mathbf{398} := T\left(T\left(3\right)\right) + F\left(T\left(\sqrt{9}\right) + 8\right)$$
$$\mathbf{398} := T\left(-T\left(3\right) + F\left(9\right)\right) - 8$$
$$\mathbf{398} := T\left(T\left(T\left(T\left(3\right)\right)/\sqrt{9}\right)\right) - 8$$
$$\mathbf{398} := T\left(Q\left(F\left(3\right)\right)!\right) + 98$$

$$\mathbf{399} := \left(F\left(F\left(3!\right)\right) - F\left(\sqrt{9}\right)\right) \times F\left(F\left(\left(\sqrt{9}\right)!\right)\right)$$
$$\mathbf{399} := F\left(C\left(F\left(3\right)\right)\right) \times \left(C\left(\sqrt{9}\right) - F\left(\left(\sqrt{9}\right)!\right)\right)$$
$$\mathbf{399} := Q\left(F\left(F\left(3!\right)\right)\right) - \left(\sqrt{9}\right)! - Q\left(\left(\sqrt{9}\right)!\right)$$
$$\mathbf{399} := -T\left(3\right) + 9 \times T\left(9\right)$$
$$\mathbf{399} := T\left(Q\left(F\left(3\right)\right)!\right) + 99$$

$$\mathbf{400} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 0$$
$$\mathbf{400} := Q\left(F\left(sqrt\left(C\left(4\right)\right)\right) - 0!\right) + 0$$
$$\mathbf{400} := Q\left(Q\left(4\right) + Q\left(0! + 0!\right)\right)$$
$$\mathbf{400} := Q\left(T\left(4\right) \times \left(0! + 0!\right)\right)$$
$$\mathbf{400} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 0$$
$$\mathbf{400} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 0$$

$$\mathbf{401} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 1$$
$$\mathbf{401} := Q\left(F\left(sqrt\left(C\left(4\right)\right)\right) - 0!\right) + 1$$
$$\mathbf{401} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 1$$
$$\mathbf{401} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 1$$

$$\mathbf{402} := \sqrt{4} + Q\left(-0! + F\left(C\left(2\right)\right)\right)$$
$$\mathbf{402} := \sqrt{4} + Q\left(-0! + T\left(T\left(T\left(2\right)\right)\right)\right)$$
$$\mathbf{402} := 4! + T\left(C\left(T\left(02\right)\right)\right)$$
$$\mathbf{402} := -4 + T\left(T\left(0! + T\left(T\left(2\right)\right)\right)\right)$$
$$\mathbf{402} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 2$$
$$\mathbf{402} := Q\left(F\left(sqrt\left(C\left(4\right)\right)\right) - 0!\right) + 2$$
$$\mathbf{402} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 2$$
$$\mathbf{402} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 2$$

$$\mathbf{403} := 4! + 0! + T\left(C\left(3\right)\right)$$
$$\mathbf{403} := F\left(4\right) + Q\left(-0! + F\left(C\left(F\left(3\right)\right)\right)\right)$$
$$\mathbf{403} := F\left(4\right) + Q\left(-0! + F\left(F\left(3!\right)\right)\right)$$
$$\mathbf{403} := F\left(4\right) + Q\left(-0! + T\left(T\left(3\right)\right)\right)$$
$$\mathbf{403} := -F\left(4\right) + T\left(0! + C\left(3\right)\right)$$
$$\mathbf{403} := -F\left(4\right) + T\left(T\left(0! + T\left(3\right)\right)\right)$$
$$\mathbf{403} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 3$$
$$\mathbf{403} := Q\left(F\left(sqrt\left(C\left(4\right)\right)\right) - 0!\right) + 3$$
$$\mathbf{403} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 3$$
$$\mathbf{403} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 3$$
$$\mathbf{403} := T\left(\sqrt{4}\right) + Q\left(-0! + T\left(T\left(3\right)\right)\right)$$
$$\mathbf{403} := -T\left(\sqrt{4}\right) + T\left(T\left(0! + T\left(3\right)\right)\right)$$

$$\mathbf{404} := \left(Q\left(T\left(4\right)\right) + 0!\right) \times 4$$
$$\mathbf{404} := -\sqrt{4} + T\left(T\left(0! + T\left(F\left(4\right)\right)\right)\right)$$
$$\mathbf{404} := -\sqrt{4} + T\left(T\left(0! + T\left(T\left(\sqrt{4}\right)\right)\right)\right)$$
$$\mathbf{404} := Q\left(F\left(\sqrt{C\left(4\right)}\right) - 0!\right) + 4$$
$$\mathbf{404} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 4$$
$$\mathbf{404} := -F\left(F\left(4\right)\right) + T\left(T\left(0! + T\left(F\left(4\right)\right)\right)\right)$$
$$\mathbf{404} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 4$$
$$\mathbf{404} := Q\left(F\left(sqrt\left(C\left(4\right)\right)\right) - 0!\right) + 4$$
$$\mathbf{404} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 4$$
$$\mathbf{404} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 4$$
$$\mathbf{404} := T\left(C\left(F\left(4\right)\right)\right) - 0! + C\left(F\left(4\right)\right)$$
$$\mathbf{404} := T\left(C\left(T\left(T\left(\sqrt{4}\right)\right)\right)\right) - 0! + C\left(T\left(\sqrt{4}\right)\right)$$

$$\mathbf{405} := Q\left(Q\left(\sqrt{4} + 0!\right)\right) \times 5$$
$$\mathbf{405} := Q\left(Q\left(4 - 0!\right)\right) \times 5$$
$$\mathbf{405} := Q\left(Q\left(F\left(4\right)\right)\right) \times 05$$
$$\mathbf{405} := Q\left(T\left(4\right) - 0!\right) \times 5$$
$$\mathbf{405} := C\left(\sqrt{4} + 0!\right) \times T\left(5\right)$$

$$\mathbf{405} := C\left(F\left(4\right)\right) \times T\left(5\right)$$
$$\mathbf{405} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 5$$
$$\mathbf{405} := Q\left(F\left(\sqrt{C\left(4\right)}\right) - 0!\right) + 5$$
$$\mathbf{405} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 5$$
$$\mathbf{405} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 5$$
$$\mathbf{405} := T\left(4!\right) + T\left(-0! + T\left(5\right)\right)$$

$$\mathbf{406} := F\left(4\right)! + Q\left(-0! + F\left(F\left(6\right)\right)\right)$$
$$\mathbf{406} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 6$$
$$\mathbf{406} := Q\left(F\left(sqrt\left(C\left(4\right)\right)\right) - 0!\right) + 6$$
$$\mathbf{406} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 6$$
$$\mathbf{406} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 6$$
$$\mathbf{406} := T\left(4 \times \left(0! + 6\right)\right)$$
$$\mathbf{406} := T\left(-4 \times \left(0! - F\left(6\right)\right)\right)$$
$$\mathbf{406} := T\left(C\left(4\right) - Q\left(06\right)\right)$$
$$\mathbf{406} := T\left(T\left(\sqrt{T\left(T\left(4\right)\right) - 06}\right)\right)$$
$$\mathbf{406} := T\left(T\left(F\left(\sqrt{4}\right) + 06\right)\right)$$
$$\mathbf{406} := T\left(T\left(F\left(F\left(F\left(4\right)\right)\right) + 06\right)\right)$$

$$\mathbf{407} := \left(4 \times 0\right)! + T\left(T\left(7\right)\right)$$
$$\mathbf{407} := C\left(4\right) + C\left(07\right)$$
$$\mathbf{407} := F\left(\sqrt{4}\right) + T\left(T\left(07\right)\right)$$
$$\mathbf{407} := F\left(F\left(F\left(4\right)\right)\right) + T\left(T\left(07\right)\right)$$
$$\mathbf{407} := Q\left(4!\right) - Q\left(F\left(07\right)\right)$$
$$\mathbf{407} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 7$$
$$\mathbf{407} := Q\left(F\left(sqrt\left(C\left(4\right)\right)\right) - 0!\right) + 7$$
$$\mathbf{407} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 7$$
$$\mathbf{407} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 7$$

$$\mathbf{408} := \sqrt{4} + T\left(T\left(-0! + 8\right)\right)$$
$$\mathbf{408} := \sqrt{C\left(4\right)} + Q\left(-0! + F\left(8\right)\right)$$
$$\mathbf{408} := F\left(F\left(4\right)!\right) + Q\left(-0! + F\left(8\right)\right)$$
$$\mathbf{408} := F\left(F\left(4\right)\right) + T\left(T\left(-0! + 8\right)\right)$$
$$\mathbf{408} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 8$$
$$\mathbf{408} := Q\left(F\left(sqrt\left(C\left(4\right)\right)\right) - 0!\right) + 8$$
$$\mathbf{408} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 8$$
$$\mathbf{408} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 8$$
$$\mathbf{408} := T\left(Q\left(4\right)\right) \times \sqrt{0! + 8}$$

$$\mathbf{409} := F\left(4\right) + T\left(0! + C\left(\sqrt{9}\right)\right)$$
$$\mathbf{409} := F\left(4\right) + T\left(T\left(0! + T\left(\sqrt{9}\right)\right)\right)$$
$$\mathbf{409} := Q\left(4! + 0!\right) - C\left(\left(\sqrt{9}\right)!\right)$$
$$\mathbf{409} := Q\left(F\left(4\right)\right) + Q\left(-0! + F\left(F\left(\left(\sqrt{9}\right)!\right)\right)\right)$$
$$\mathbf{409} := Q\left(F\left(F\left(F\left(4\right)!\right)\right) - 0!\right) + 9$$
$$\mathbf{409} := Q\left(F\left(sqrt\left(C\left(4\right)\right)\right) - 0!\right) + 9$$
$$\mathbf{409} := Q\left(T\left(T\left(F\left(4\right)\right)\right) - 0!\right) + 9$$
$$\mathbf{409} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 9$$
$$\mathbf{409} := T\left(\sqrt{4}\right) + T\left(0! + C\left(\sqrt{9}\right)\right)$$
$$\mathbf{409} := T\left(\sqrt{4}\right) + T\left(T\left(0! + T\left(\sqrt{9}\right)\right)\right)$$

$$\mathbf{410} := T\left(Q\left(T\left(F\left(4\right)\right)\right)\right) - Q\left(Q\left(Q\left(1 + 0!\right)\right)\right)$$
$$\mathbf{410} := T\left(Q\left(T\left(T\left(\sqrt{4}\right)\right)\right)\right) - Q\left(Q\left(Q\left(1 + 0!\right)\right)\right)$$
$$\mathbf{410} := T\left(T\left(\sqrt{C\left(4\right)}\right)\right) - Q\left(Q\left(Q\left(1 + 0!\right)\right)\right)$$

$$\mathbf{411} := F\left(Q\left(4\right)\right) - Q\left(Q\left(1 + 1\right)!\right)$$

$$\mathbf{412} := -Q\left(4!\right) + 1 + F\left(Q\left(Q\left(2\right)\right)\right)$$
$$\mathbf{412} := -Q\left(T\left(4\right)\right) + C\left(C\left(1 \times 2\right)\right)$$
$$\mathbf{412} := T\left(F\left(4\right)\right) + T\left(T\left(-1 + C\left(2\right)\right)\right)$$
$$\mathbf{412} := T\left(F\left(4\right)\right) + T\left(T\left(1 + T\left(T\left(2\right)\right)\right)\right)$$
$$\mathbf{412} := T\left(Q\left(4\right)\right) + T\left(-1 + Q\left(2\right)!\right)$$
$$\mathbf{412} := T\left(T\left(\sqrt{4}\right)\right) + T\left(T\left(-1 + C\left(2\right)\right)\right)$$
$$\mathbf{412} := T\left(T\left(\sqrt{4}\right)\right) + T\left(T\left(1 + T\left(T\left(2\right)\right)\right)\right)$$

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$\mathbf{413} := F\left(Q\left(F\left(4\right)\right)\right) + 1 + T\left(C\left(3\right)\right)$
$\mathbf{413} := Q\left(F\left(\sqrt{C\left(4\right)}\right)\right) - 1 - C\left(3\right)$
$\mathbf{413} := T\left(\sqrt{C\left(4\right)}\right) - 1 + T\left(C\left(3\right)\right)$
$\mathbf{413} := -T\left(T\left(F\left(4\right)\right) + 1\right) + Q\left(T\left(T\left(3\right)\right)\right)$
$\mathbf{413} := -T\left(T\left(T\left(\sqrt{4}\right)\right) + 1\right) + Q\left(T\left(T\left(3\right)\right)\right)$
$\mathbf{413} := -T\left(T\left(T\left(F\left(4\right)\right)\right) + 1\right) + T\left(T\left(F\left(T\left(3\right)\right)\right)\right)$

$\mathbf{414} := \left(T\left(Q\left(F\left(4\right)\right)\right) + 1\right) \times Q\left(F\left(4\right)\right)$
$\mathbf{414} := \left(T\left(Q\left(T\left(\sqrt{4}\right)\right)\right) + 1\right) \times Q\left(T\left(\sqrt{4}\right)\right)$
$\mathbf{414} := \sqrt{C\left(4\right)} + T\left(1 + C\left(F\left(4\right)\right)\right)$
$\mathbf{414} := F\left(T\left(F\left(4\right)\right)\right) + T\left(T\left(1 + T\left(F\left(4\right)\right)\right)\right)$
$\mathbf{414} := Q\left(F\left(\sqrt{C\left(4\right)}\right)\right) - C\left(F\left(1 \times 4\right)\right)$
$\mathbf{414} := T\left(\sqrt{C\left(4\right)}\right) + T\left(C\left(-1 + 4\right)\right)$

$\mathbf{415} := C\left(4\right) + T\left(1 + Q\left(5\right)\right)$
$\mathbf{415} := Q\left(F\left(\sqrt{C\left(4\right)}\right)\right) - 1 - Q\left(5\right)$
$\mathbf{415} := Q\left(F\left(F\left(F\left(4\right)!\right)\right)\right) - 1 - Q\left(5\right)$
$\mathbf{415} := Q\left(F\left(T\left(F\left(4\right)\right)\right)\right) + T\left(1 + Q\left(5\right)\right)$
$\mathbf{415} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right)\right) - 1 - Q\left(5\right)$

$\mathbf{416} := Q\left(4\right) + Q\left(-1 + F\left(F\left(6\right)\right)\right)$
$\mathbf{416} := T\left(4\right) + T\left(T\left(1 + 6\right)\right)$
$\mathbf{416} := T\left(C\left(4\right)\right) / \left(-1 + 6\right)$

$\mathbf{417} := -4! + Q\left(F\left(1 + 7\right)\right)$
$\mathbf{417} := T\left(4\right) + 1 + T\left(T\left(7\right)\right)$

$\mathbf{418} := -4! + 1 + Q\left(F\left(8\right)\right)$
$\mathbf{418} := -4! + 1 + Q\left(T\left(\sqrt{T\left(8\right)}\right)\right)$

$\mathbf{419} := 41 + T\left(C\left(\sqrt{9}\right)\right)$
$\mathbf{419} := Q\left(F\left(\sqrt{C\left(4\right)}\right)\right) - 1 - F\left(F\left(\left(\sqrt{9}\right)!\right)\right)$
$\mathbf{419} := Q\left(F\left(F\left(F\left(4\right)!\right)\right)\right) - 1 - F\left(F\left(\left(\sqrt{9}\right)!\right)\right)$
$\mathbf{419} := -T\left(4!\right) - 1 + T\left(\sqrt{9}\right)!$

$\mathbf{420} := \sqrt{4} \times T\left(20\right)$
$\mathbf{420} := F\left(\sqrt{C\left(4\right)}\right) \times 20$
$\mathbf{420} := F\left(F\left(\left(F\left(4\right)\right)!\right)\right) \times 20$
$\mathbf{420} := -C\left(4\right) + Q\left(F\left(C\left(2\right)\right) + 0!\right)$
$\mathbf{420} := F\left(F\left(4\right)\right) \times T\left(20\right)$
$\mathbf{420} := Q\left(F\left(F\left(F\left(4\right)!\right)\right)\right) - F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right) + 0$
$\mathbf{420} := -T\left(4!\right) + T\left(T\left(2\right)\right)! + 0$

$\mathbf{421} := \sqrt{C\left(C\left(4\right)\right)} - T\left(F\left(C\left(2\right) - 1\right)\right)$
$\mathbf{421} := F\left(\sqrt{C\left(4\right)}\right) + Q\left(F\left(C\left(2\right)\right) - 1\right)$
$\mathbf{421} := Q\left(F\left(F\left(F\left(4\right)!\right)\right)\right) - F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right) + 1$
$\mathbf{421} := T\left(4!\right) + Q\left(T\left(Q\left(2\right)\right) + 1\right)$
$\mathbf{421} := -T\left(4!\right) + T\left(T\left(2\right)\right)! + 1$
$\mathbf{421} := T\left(T\left(F\left(4\right)\right)\right) + Q\left(F\left(C\left(2\right)\right) - 1\right)$

$\mathbf{422} := F\left(4\right)!!/\left(-C\left(2\right)\right) + C\left(C\left(2\right)\right)$
$\mathbf{422} := -Q\left(4\right) + Q\left(F\left(C\left(2\right)\right)\right) - F\left(Q\left(2\right)\right)$
$\mathbf{422} := -Q\left(F\left(F\left(4\right)!\right)\right) + F\left(Q\left(2\right)\right)! \times Q\left(Q\left(F\left(Q\left(2\right)\right)\right)\right)$
$\mathbf{422} := Q\left(F\left(F\left(F\left(4\right)!\right)\right)\right) - F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right) + 2$
$\mathbf{422} := -T\left(4!\right) + 2 + \left(T\left(T\left(2\right)\right)\right)!$
$\mathbf{422} := -T\left(4!\right) + T\left(T\left(2\right)\right)! + 2$
$\mathbf{422} := T\left(4! + Q\left(2\right)\right) + Q\left(Q\left(2\right)\right)$
$\mathbf{422} := -T\left(4\right)!/C\left(2\right)! + C\left(C\left(2\right)\right)$

$\mathbf{423} := \sqrt{C\left(C\left(4\right)\right)} - F\left(C\left(2\right) + 3\right)$
$\mathbf{423} := Q\left(4!\right) \times 2 - C\left(Q\left(3\right)\right)$

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$\mathbf{423} := F(Q(4))/F(C(2)) \times Q(3)$
$\mathbf{423} := Q(4!) - T(C(2) + Q(3))$
$\mathbf{423} := Q(F(4)) \times F(Q(Q(2)))/F(F(3!))$
$\mathbf{423} := Q(F(F(F(4)!))) - F(F(F(Q(2))!)) + 3$
$\mathbf{423} := -T(4!) + T(2) + (T(3))!$
$\mathbf{423} := -T(4!) + T(T(2))! + 3$
$\mathbf{423} := T\left(F(4)^{T(2)}\right) + T(Q(3))$
$\mathbf{423} := T\left(F(4)^2\right) + T(C(3))$
$\mathbf{423} := T(T(2) + 4!) + T(Q(3))$

$\mathbf{424} := (T(T(4)) - 2) \times \sqrt{C(4)}$
$\mathbf{424} := 4! + Q(2 \times T(4))$
$\mathbf{424} := 4! + Q(Q(2) + Q(4))$
$\mathbf{424} := 4 + (T(T(2)))! - T(4!)$
$\mathbf{424} := -C(4) + C(C(2)) - 4!$
$\mathbf{424} := F(T(F(4))) \times (-2 + F(T(4)))$
$\mathbf{424} := Q(F(F(F(4)!))) - F(F(F(Q(2))!)) + 4$
$\mathbf{424} := -T(4!) + T(T(2))! + 4$

$\mathbf{425} := (C(4) + F(C(2))) \times 5$
$\mathbf{425} := (Q(4) + F(2)) \times Q(5)$
$\mathbf{425} := Q(F(F(F(4)!))) - F(F(F(Q(2))!)) + 5$
$\mathbf{425} := Q(Q(2) + Q(4)) + Q(5)$
$\mathbf{425} := Q(Q(4)) + Q(-2 + T(5))$
$\mathbf{425} := Q(Q(4)) + Q(C(2) + 5)$
$\mathbf{425} := T(4!) + \sqrt{C(25)}$
$\mathbf{425} := T(4!) + F(2) \times C(5)$
$\mathbf{425} := -T(4!) + T(T(2))! + 5$
$\mathbf{425} := T\left(T\left(F(4)^2\right)\right) - F(T(5))$
$\mathbf{425} := T(T(T(4) - F(2))) - F(T(5))$

$\mathbf{426} := (T(T(4)) + Q(Q(2))) \times 6$
$\mathbf{426} := -\sqrt{4} \times (T(2) - C(6))$
$\mathbf{426} := C(F(4)) \times Q(Q(2)) - 6$
$\mathbf{426} := -F(4)! + 2 \times C(6)$
$\mathbf{426} := -Q(4) + F(2) + Q(F(F(6)))$
$\mathbf{426} := Q(F(F(F(4)!))) - F(F(F(Q(2))!)) + 6$
$\mathbf{426} := -T(4!) + T(T(2))! + 6$
$\mathbf{426} := T(4!) + T(T(2)) \times T(6)$
$\mathbf{426} := T(T(T(F(4)))) - T(F(T(T(2)))) + T(T(6))$

$\mathbf{427} := (C(4) - F(Q(2))) \times 7$
$\mathbf{427} := (C(4) - T(2)) \times 7$
$\mathbf{427} := -2 \times F(Q(4)) + Q(Q(7))$
$\mathbf{427} := 4 \times F(C(2)) + C(7)$
$\mathbf{427} := F(4 \times 2) + T(T(7))$
$\mathbf{427} := Q(F(F(F(4)!))) - F(F(F(Q(2))!)) + 7$
$\mathbf{427} := -T(4!) + T(T(2))! + 7$
$\mathbf{427} := T(4 + 2) + T(T(7))$

$\mathbf{428} := -4 \times F(C(2)) + C(8)$
$\mathbf{428} := F(4) - Q(Q(2)) + Q(F(8))$
$\mathbf{428} := Q(F(F(F(4)!))) - F(F(F(Q(2))!)) + 8$
$\mathbf{428} := T(4!) + 2 \times Q(8)$
$\mathbf{428} := -T(4!) + C(C(2)) + C\left(\sqrt{T(8)}\right)$
$\mathbf{428} := -T(4!) + T(T(2))! + 8$

$\mathbf{429} := -\sqrt{4} + C(C(2)) - Q(9)$
$\mathbf{429} := C(F(4)!) \times 2 - \sqrt{9}$
$\mathbf{429} := C(4!)/T(C(2)) + T(9)$
$\mathbf{429} := C(4) \times T(T(2)) + T(9)$
$\mathbf{429} := C(F(4)) \times Q(Q(2)) - \sqrt{9}$
$\mathbf{429} := Q(Q(4) \times 2) - T(F(9))$
$\mathbf{429} := Q(4) \times C(T(2)) - \sqrt{9}$
$\mathbf{429} := Q(4) \times Q(2)! + T(9)$
$\mathbf{429} := Q(F(F(F(4)!))) - F(F(F(Q(2))!)) + 9$
$\mathbf{429} := Q(Q(F(4)!))/F(Q(2)) - \sqrt{9}$
$\mathbf{429} := -T(4!) + T(2)^{T(\sqrt{9})}$

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$\mathbf{429} := -T(4!) + T(T(2))! + 9$
$\mathbf{429} := -T(F(4)) + T(29)$
$\mathbf{429} := -T\left(T\left(\sqrt{4}\right)\right) + T(29)$

$\mathbf{430} := \sqrt{4} \times (C(3!) - 0!)$
$\mathbf{430} := 4! + T(C(3) + 0!)$
$\mathbf{430} := 4! + T(C(3) + 0!)$
$\mathbf{430} := 4! + T(T(3) + 0!))$

$\mathbf{431} := \sqrt{4} \times C(3!) - 1$
$\mathbf{431} := \sqrt{4} \times C(T(3)) - 1$
$\mathbf{431} := F(4)!! - Q(Q(Q(F(3))) + 1)$
$\mathbf{431} := Q(4) \times C(3) - 1$
$\mathbf{431} := -T(4) + Q(T(T(3 \times 1)))$

$\mathbf{432} := C(4!)/32$
$\mathbf{432} := \sqrt{4} \times C(3 \times 2)$
$\mathbf{432} := \sqrt{4} \times T(3)^{T(2)}$
$\mathbf{432} := 4! \times Q(3) \times 2$
$\mathbf{432} := 4! \times T(3) \times T(2)$
$\mathbf{432} := F(4) \times F(3! \times 2)$
$\mathbf{432} := F(4 \times 3) \times T(2)$
$\mathbf{432} := Q(4 \times 3) \times T(2)$

$\mathbf{433} := \sqrt{4} \times C(3!) + F(F(3))$
$\mathbf{433} := -\sqrt{C(4)} + Q(C(3) - 3!)$
$\mathbf{433} := -F((F(4))!) + F(F(3!))^{F(3)}$
$\mathbf{433} := F(T(4)) + T\left(3^3\right)$
$\mathbf{433} := Q(4! - 3) - F(3!)$
$\mathbf{433} := Q(4) \times C(3) + F(F(3))$
$\mathbf{433} := T(T(4)) + T\left(3^3\right)$

$\mathbf{434} := \left(F\left(\sqrt{4}\right) + C(T(3))\right) \times \sqrt{4}$
$\mathbf{434} := (T(Q(4)) + Q(Q(3))) \times \sqrt{4}$
$\mathbf{434} := \left(T\left(T\left(\sqrt{4}\right)\right)\right)! - T(T(T(3))) - T(T(4))$
$\mathbf{434} := \sqrt{4} \times C(3!) + \sqrt{4}$
$\mathbf{434} := \sqrt{4} \times C(T(3)) + \sqrt{4}$
$\mathbf{434} := F(Q(F(4))) + Q(Q(F(3)) + Q(4))$
$\mathbf{434} := F(T(4)) \times F(T(3)) - T(F(4))$
$\mathbf{434} := Q(4) \times C(3) + \sqrt{4}$
$\mathbf{434} := T(Q(4)) - F(3) + T(4!)$

$\mathbf{435} := \left(\sqrt{4} + C(3)\right) \times T(5)$
$\mathbf{435} := (F(4)! + Q(Q(3))) \times 5$
$\mathbf{435} := F(T(4)) \times F(T(3)) - 5$
$\mathbf{435} := T(4 \times T(3) + 5)$
$\mathbf{435} := T(Q(4) - F(3) + T(5))$

$\mathbf{436} := \sqrt{4} \times (F(3) + C(6))$
$\mathbf{436} := 4 + C(3!) + C(6)$
$\mathbf{436} := C(4) + T(C(3)) - 6$
$\mathbf{436} := F\left(\sqrt{4}\right) + T(F(T(3)) + T(6))$
$\mathbf{436} := F(F(F(4))) + T(F(T(3)) + T(6))$
$\mathbf{436} := Q(F(4)!) + Q(3!!/Q(6))$
$\mathbf{436} := Q(-Q(4) + Q(3!)) + Q(6)$
$\mathbf{436} := T(4!) + T(F(3) \times F(6))$
$\mathbf{436} := T(Q(4)) + T(3 \times F(6))$
$\mathbf{436} := T(Q(4)) + T(3 + T(6))$

$\mathbf{437} := 4 + C(3) + T(T(7))$
$\mathbf{437} := -4 + Q(3 \times 7)$
$\mathbf{437} := T(4) + T(T(3)) + T(T(7))$

$\mathbf{438} := (C(4) + Q(3)) \times \sqrt{T(8)}$
$\mathbf{438} := -4! + F(3) \times T(F(8))$
$\mathbf{438} := 4! + T(C(3)) + T(8)$

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$\mathbf{438} := F(4)! \times (Q(3) + Q(8))$
$\mathbf{438} := -F(4) + F(C(F(3))) \times F(8)$
$\mathbf{438} := -F(4) + F(F(3!)) \times F(8)$
$\mathbf{438} := -F(4) + T(T(3)) \times F(8)$
$\mathbf{438} := T\left(\sqrt{4}\right) + T(T(T(3)) + 8)$
$\mathbf{438} := T(3 \times 4!) / \sqrt{T(8)}$
$\mathbf{438} := T(F(4)) \times (Q(3) + Q(8))$

$\mathbf{439} := -\sqrt{4} + F(F(3!))^{F\left(\sqrt{9}\right)}$
$\mathbf{439} := -\sqrt{4} + Q\left(-3! + C\left(\sqrt{9}\right)\right)$
$\mathbf{439} := -\sqrt{4} + T(T(3)) \times T\left(T\left(\sqrt{9}\right)\right)$
$\mathbf{439} := -\sqrt{4} + T(T(3))^{F\left(\sqrt{9}\right)}$
$\mathbf{439} := C(F(4)) + T(C(3)) + F(9)$
$\mathbf{439} := F\left(\sqrt{C(4)}\right)^{F(3)} - F\left(\sqrt{9}\right)$
$\mathbf{439} := Q(4! - 3) - F\left(\sqrt{9}\right)$
$\mathbf{439} := Q(4) + T(C(3)) + T(9)$
$\mathbf{439} := Q(F(4)) \times T(Q(3)) + F(9)$
$\mathbf{439} := Q(Q(4) + T(3)) - T(9)$
$\mathbf{439} := T(T(4)) + T(C(3)) + T\left(\sqrt{9}\right)$

$\mathbf{440} := \sqrt{C(4)} \times T(T(4)) + 0$
$\mathbf{440} := F\left(\sqrt{C(4)}\right)^{\sqrt{4}} - 0!$
$\mathbf{440} := F(F((F(4))!))^{\sqrt{4}} - 0!$
$\mathbf{440} := F(F((F(4))!))^{F(F(4))} - 0!$
$\mathbf{440} := F(T(F(4))) \times F(T(4)) + 0$
$\mathbf{440} := Q(F(4 + 4)) - 0!$
$\mathbf{440} := T\left(T\left(T\left(\sqrt{4}\right)\right)\right)^{\sqrt{4}} - 0!$

$\mathbf{441} := \sqrt{C(4)} \times T(T(4)) + 1$
$\mathbf{441} := F\left(\sqrt{C(4)}\right)^{F(4-1)}$
$\mathbf{441} := F(F((F(4))!))^{F(4-1)}$
$\mathbf{441} := F(T(F(4))) \times F(T(4)) + 1$
$\mathbf{441} := Q(F(4 + 4 \times 1))$
$\mathbf{441} := Q(Q(4) + 4 + 1)$
$\mathbf{441} := T(T(F(4)))^{F(4-1)}$
$\mathbf{441} := T\left(T\left(T\left(\sqrt{4}\right)\right)\right)^{\sqrt{4\times 1}}$

$\mathbf{442} := \left(\sqrt{C(4)}\right)!/(-Q(4!)) + C(C(2))$
$\mathbf{442} := \sqrt{C(4)} \times T(T(4)) + 2$
$\mathbf{442} := C(4) + T(4! + T(2))$
$\mathbf{442} := C(4) + T\left(F(4)^{T(2)}\right)$
$\mathbf{442} := -C(4) - F(4)! + C(C(2))$
$\mathbf{442} := F\left(\sqrt{4}\right) + Q(F(4 \times 2))$
$\mathbf{442} := F(F((F(4))!))^{\sqrt{4}} + F(2)$
$\mathbf{442} := F(F((F(4))!))^{F(F(4))} + F(2)$
$\mathbf{442} := F(T(F(4))) \times F(T(4)) + 2$
$\mathbf{442} := T(-4 + T(T(4)))/T(2)$
$\mathbf{442} := T(F(T(4)) - 4)/T(2)$
$\mathbf{442} := T(Q(4)) + T(4!) + T(T(2))$
$\mathbf{442} := T(T(F(4)))^{\sqrt{4}} + F(2)$

$\mathbf{443} := \sqrt{4} + Q(4! - 3)$
$\mathbf{443} := \sqrt{4} + T\left(T\left(T\left(\sqrt{4}\right)\right)\right) \times T(T(3))$
$\mathbf{443} := \sqrt{C(4)} \times T(T(4)) + 3$
$\mathbf{443} := \sqrt{C(4)} + T\left(\sqrt{4} + C(3)\right)$
$\mathbf{443} := F\left(\sqrt{C(4)}\right)^{\sqrt{4}} + F(3)$
$\mathbf{443} := F(4) + F(T(4)) \times F(T(3))$
$\mathbf{443} := F(F((F(4))!))^{\sqrt{4}} + F(3)$
$\mathbf{443} := F(F((F(4))!))^{F(F(4))} + F(3)$
$\mathbf{443} := F(T(F(4))) \times F(T(4)) + 3$

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$$\mathbf{444} := \sqrt{C(4)} \times T(T(4)) + 4$$
$$\mathbf{444} := \sqrt{C(C(4))} - C(4) - 4$$
$$\mathbf{444} := F(4) + Q(F(4+4))$$
$$\mathbf{444} := F(F((F(4))!))^{\sqrt{4}} + F(4)$$
$$\mathbf{444} := F(F((F(4))!))^{F(F(4))} + F(4)$$
$$\mathbf{444} := F(T(F(4))) \times F(T(4)) + 4$$
$$\mathbf{444} := T(4!) + F\left(\sqrt{4} + T(4)\right)$$
$$\mathbf{444} := T(4!) + F(4 \times F(4))$$
$$\mathbf{444} := T(4!) + Q\left(\sqrt{4} + T(4)\right)$$
$$\mathbf{444} := T(F(4)) \times (C(4) + T(4))$$
$$\mathbf{444} := T\left(T\left(\sqrt{4}\right)\right) \times 4! + T(4!)$$
$$\mathbf{444} := T(T(F(4)))^{\sqrt{4}} + F(4)$$
$$\mathbf{444} := T\left(T\left(T\left(\sqrt{4}\right)\right)\right)^{\sqrt{4}} + T\left(\sqrt{4}\right)$$

$$\mathbf{445} := \sqrt{C(4)} \times T(T(4)) + 5$$
$$\mathbf{445} := 4 + Q(Q(4) + 5)$$
$$\mathbf{445} := F\left(F(4) + \sqrt{C(4)}\right) \times 5$$
$$\mathbf{445} := F(F(4) + F((F(4))!)) \times 5$$
$$\mathbf{445} := -F(T(4)) \times F(4) + F(T(5))$$
$$\mathbf{445} := F(T(F(4))) \times F(T(4)) + 5$$
$$\mathbf{445} := T(4) + T(4! + 5)$$
$$\mathbf{445} := T\left(4 + T\left(T\left(T\left(\sqrt{4}\right)\right)\right)\right) + T(T(5))$$

$$\mathbf{446} := \sqrt{4} + F(4) + Q(F(F(6)))$$
$$\mathbf{446} := \sqrt{4} + F(4) + Q(T(6))$$
$$\mathbf{446} := \sqrt{C(4)} \times T(T(4)) + 6$$
$$\mathbf{446} := -C(4) - \sqrt{4} + C(F(6))$$
$$\mathbf{446} := F(T(F(4))) \times F(T(4)) + 6$$
$$\mathbf{446} := T(4)/\sqrt{4} + Q(T(6))$$
$$\mathbf{446} := T(F(4)) + F(T(4)) \times F(6)$$

$$\mathbf{447} := \sqrt{C(4)} \times T(T(4)) + 7$$
$$\mathbf{447} := \sqrt{C(C(4))} - Q(4) - Q(7)$$
$$\mathbf{447} := -F\left(\sqrt{4}\right) + C(4) \times 7$$
$$\mathbf{447} := F(4)!! - F(F((F(4))!)) \times F(7)$$
$$\mathbf{447} := F(4)! + Q(F(4) \times 7)$$
$$\mathbf{447} := F(T(F(4))) \times F(T(4)) + 7$$
$$\mathbf{447} := Q(T(4)) + (4 + C(7))$$
$$\mathbf{447} := T(4!) + T\left(T\left(\sqrt{4}\right)\right) \times 7$$
$$\mathbf{447} := T(F(4))! - F(4) \times T(F(7))$$
$$\mathbf{447} := T(F(4)) + Q(F(4) \times 7)$$

$$\mathbf{448} := -(C(4) - C(4) \times 8)$$
$$\mathbf{448} := \left(F\left(\sqrt{4}\right) + F(T(4))\right) \times 8$$
$$\mathbf{448} := (F(4) + 4) \times Q(8)$$
$$\mathbf{448} := \sqrt{C(4)} \times T(T(4)) + 8$$
$$\mathbf{448} := -4 \times Q(4) + C(8)$$
$$\mathbf{448} := -4^{F(4)} + C(8)$$
$$\mathbf{448} := C(4+4) - Q(8)$$
$$\mathbf{448} := F((F(4))!)!/(F(4)!!/8)$$
$$\mathbf{448} := F(T(F(4))) \times F(T(4)) + 8$$
$$\mathbf{448} := F(T(F(4))) + F(T(4)) \times 8$$
$$\mathbf{448} := Q(4) \times 4! + Q(8)$$
$$\mathbf{448} := Q(Q(4)) + Q(Q(4)) - Q(8)$$

$$\mathbf{449} := \sqrt{C(4)} \times T(T(4)) + 9$$
$$\mathbf{449} := \sqrt{C(4)} + Q\left(4! - \sqrt{9}\right)$$
$$\mathbf{449} := C(F(4)!) + F(4+9)$$
$$\mathbf{449} := -F\left(\sqrt{4}\right) + T(4) \times T(9)$$
$$\mathbf{449} := F(F((F(4))!))^{\sqrt{4}} + F\left(\left(\sqrt{9}\right)!\right)$$
$$\mathbf{449} := F(F(4)!) + Q\left(4! - \sqrt{9}\right)$$
$$\mathbf{449} := F(T(F(4))) \times F(T(4)) + 9$$
$$\mathbf{449} := -Q(4) + T\left(T(4) \times \sqrt{9}\right)$$
$$\mathbf{449} := -T(T(4)) + 4! \times T\left(T\left(\sqrt{9}\right)\right)$$

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$\mathbf{450} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 0$
$\mathbf{450} := Q\left(F\left(4\right)\right) \times 50$
$\mathbf{450} := Q\left(4!\right) - C\left(5\right) - 0!$
$\mathbf{450} := T\left(T\left(\sqrt{C\left(4\right)}\right)\right) - C\left(5 + 0!\right)$

$\mathbf{451} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 1$
$\mathbf{451} := Q\left(4!\right) - C\left(5 \times 1\right)$
$\mathbf{451} := T\left(4\right) + Q\left(T\left(5 + 1\right)\right)$

$\mathbf{452} := T\left(C\left(4\right)\right)/5 + T\left(C\left(2\right)\right)$
$\mathbf{452} := \left(T\left(T\left(T\left(F\left(4\right)\right)\right)\right) - 5\right) \times 2$
$\mathbf{452} := \sqrt{4} \times \left(-5 + T\left(T\left(T\left(T\left(2\right)\right)\right)\right)\right)$
$\mathbf{452} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 2$
$\mathbf{452} := \sqrt{C\left(C\left(4\right)\right)} - 5!/2$
$\mathbf{452} := Q\left(4!\right) - 5! - Q\left(2\right)$
$\mathbf{452} := Q\left(Q\left(4\right)\right) + Q\left(T\left(5\right) - F\left(2\right)\right)$

$\mathbf{453} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 3$
$\mathbf{453} := 4 \times 5! - C\left(3\right)$
$\mathbf{453} := Q\left(4!\right) - 5! - 3$
$\mathbf{453} := T\left(4!\right) + T\left(T\left(5\right) + F\left(3\right)\right)$

$\mathbf{454} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 4$
$\mathbf{454} := C\left(T\left(4\right)\right) + 5! - T\left(T\left(\sqrt{C\left(4\right)}\right)\right)$
$\mathbf{454} := C\left(T\left(4\right)\right) - F\left(T\left(5\right)\right) + C\left(4\right)$
$\mathbf{454} := Q\left(4!\right) - 5! - \sqrt{4}$

$\mathbf{455} := \left(C\left(F\left(4\right)!\right) - C\left(5\right)\right) \times 5$
$\mathbf{455} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 5$
$\mathbf{455} := 4 \times 5! - Q\left(5\right)$
$\mathbf{455} := -T\left(4\right) + T\left(T\left(5\right) + T\left(5\right)\right)$

$\mathbf{456} := \sqrt{4} \times 5! + C\left(6\right)$
$\mathbf{456} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 6$
$\mathbf{456} := \sqrt{C\left(C\left(4\right)\right)} - 56$
$\mathbf{456} := 4 \times \left(5! - 6\right)$
$\mathbf{456} := 4 \times \left(T\left(T\left(5\right)\right) - 6\right)$

$\mathbf{457} := -\left(F\left(4\right)! - 5! - C\left(7\right)\right)$
$\mathbf{457} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 7$
$\mathbf{457} := \sqrt{4} + 5 \times T\left(F\left(7\right)\right)$
$\mathbf{457} := F\left(\sqrt{4}\right) + Q\left(Q\left(5\right)\right) - Q\left(F\left(7\right)\right)$
$\mathbf{457} := F\left(F\left(4\right)\right) + 5 \times T\left(F\left(7\right)\right)$
$\mathbf{457} := -T\left(T\left(4\right)\right) + C\left(T\left(5\right) - 7\right)$

$\mathbf{458} := -\left(F\left(F\left(4\right)!\right) - Q\left(5\right) - Q\left(F\left(8\right)\right)\right)$
$\mathbf{458} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 8$
$\mathbf{458} := -\sqrt{C\left(4\right)} + Q\left(5\right) + Q\left(F\left(8\right)\right)$
$\mathbf{458} := C\left(4\right) + F\left(T\left(5\right)\right) - C\left(\sqrt{T\left(8\right)}\right)$
$\mathbf{458} := F\left(Q\left(4\right)\right) - Q\left(T\left(5\right) + 8\right)$

$\mathbf{459} := \left(\sqrt{4} + T\left(5\right)\right) \times C\left(\sqrt{9}\right)$
$\mathbf{459} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 9$
$\mathbf{459} := 4! + T\left(-5 + F\left(9\right)\right)$
$\mathbf{459} := 4 \times 5! - F\left(F\left(\left(\sqrt{9}\right)!\right)\right)$
$\mathbf{459} := F\left(4\right)^{5} + C\left(\left(\sqrt{9}\right)!\right)$
$\mathbf{459} := Q\left(4!\right) - 5! + \sqrt{9}$
$\mathbf{459} := T\left(\sqrt{4} + T\left(5\right)\right) \times \sqrt{9}$
$\mathbf{459} := -T\left(F\left(4\right)\right) + T\left(-T\left(5\right) + T\left(9\right)\right)$

$\mathbf{460} := \sqrt{4} \times \left(T\left(T\left(6\right)\right) - 0!\right)$
$\mathbf{460} := -4! + Q\left(F\left(F\left(6\right)\right) + 0!\right)$
$\mathbf{460} := -4! + Q\left(T\left(6\right) + 0!\right)$

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$$\mathbf{460} := F\left(F\left(4\right)\right) \times \left(T\left(T\left(6\right)\right) - 0!\right)$$

$$\mathbf{461} := F\left(\sqrt{C\left(4\right)}\right) + Q\left(F\left(F\left(6\right)\right)\right) - 1$$
$$\mathbf{461} := F\left(F\left(F\left(4\right)!\right)\right) + Q\left(F\left(F\left(6\right)\right)\right) - 1$$
$$\mathbf{461} := F\left(T\left(4\right)\right) + T\left(T\left(6 + 1\right)\right)$$
$$\mathbf{461} := T\left(Q\left(4\right)\right) + T\left(Q\left(6 - 1\right)\right)$$
$$\mathbf{461} := T\left(T\left(4\right)\right) + T\left(T\left(6 + 1\right)\right)$$

$$\mathbf{462} := \left(F\left(\sqrt{4}\right) + F\left(F\left(6\right)\right)\right) \times F\left(C\left(2\right)\right)$$
$$\mathbf{462} := \left(Q\left(4\right) + 6\right) \times F\left(C\left(2\right)\right)$$
$$\mathbf{462} := -\left(Q\left(Q\left(4\right)\right) - 6! + 2\right)$$
$$\mathbf{462} := \sqrt{4} \times T\left(F\left(6 + 2\right)\right)$$
$$\mathbf{462} := 4 \times T\left(T\left(6\right)\right)/2$$
$$\mathbf{462} := F\left(F\left(\left(F\left(4\right)\right)!\right)\right) \times \left(F\left(F\left(6\right)\right) + F\left(2\right)\right)$$
$$\mathbf{462} := F\left(F\left(4\right)\right) \times T\left(F\left(6 + 2\right)\right)$$

$$\mathbf{463} := \sqrt{4} \times T\left(T\left(6\right)\right) + F\left(F\left(3\right)\right)$$
$$\mathbf{463} := -\sqrt{4} + T\left(Q\left(6\right) - T\left(3\right)\right)$$
$$\mathbf{463} := C\left(4\right) + T\left(6\right) + T\left(C\left(3\right)\right)$$
$$\mathbf{463} := F\left(F\left(4\right)\right) \times T\left(T\left(6\right)\right) + F\left(F\left(3\right)\right)$$
$$\mathbf{463} := -Q\left(Q\left(4\right)\right) + 6! - F\left(F\left(3\right)\right)$$
$$\mathbf{463} := Q\left(Q\left(4\right)\right) + C\left(6\right) - Q\left(3\right)$$

$$\mathbf{464} := \left(F\left(\sqrt{4}\right) + T\left(T\left(6\right)\right)\right) \times \sqrt{4}$$
$$\mathbf{464} := \left(Q\left(4\right) + C\left(6\right)\right) \times \sqrt{4}$$
$$\mathbf{464} := \sqrt{4} \times T\left(T\left(6\right)\right) + \sqrt{4}$$
$$\mathbf{464} := -\sqrt{4}^{F(6)} + F\left(4\right)!!$$
$$\mathbf{464} := \sqrt{C\left(4\right)} \times \left(-6 + C\left(4\right)\right)$$
$$\mathbf{464} := F\left(\sqrt{4}\right) \times 6! - Q\left(Q\left(4\right)\right)$$
$$\mathbf{464} := F\left(F\left(4\right)\right) \times T\left(T\left(6\right)\right) + F\left(F\left(4\right)\right)$$
$$\mathbf{464} := -F\left(F\left(4\right)\right)^{F(6)} + F\left(4\right)!!$$
$$\mathbf{464} := F\left(T\left(4\right)\right) \times F\left(6\right) + 4!$$
$$\mathbf{464} := -Q\left(4!\right) + Q\left(Q\left(6\right)\right) - Q\left(Q\left(4\right)\right)$$
$$\mathbf{464} := -Q\left(Q\left(4\right)\right) + \sqrt{6!^{\sqrt{4}}}$$
$$\mathbf{464} := Q\left(T\left(4\right)\right) + Q\left(F\left(6\right)\right) + T\left(4!\right)$$

$$\mathbf{465} := \left(T\left(4\right) + T\left(6\right)\right) \times T\left(5\right)$$
$$\mathbf{465} := -F\left(\sqrt{4}\right) + Q\left(F\left(F\left(6\right)\right)\right) + Q\left(5\right)$$

$$\mathbf{466} := \sqrt{4} \times F\left(-F\left(6\right) + F\left(F\left(6\right)\right)\right)$$
$$\mathbf{466} := \sqrt{4} \times F\left(T\left(6\right) - F\left(6\right)\right)$$
$$\mathbf{466} := 4 + T\left(T\left(6\right)\right) + T\left(T\left(6\right)\right)$$
$$\mathbf{466} := -46 + C\left(F\left(6\right)\right)$$
$$\mathbf{466} := F\left(\sqrt{4}\right) + T\left(Q\left(6\right) - 6\right)$$
$$\mathbf{466} := F\left(F\left(4\right)\right) \times F\left(-F\left(6\right) + F\left(F\left(6\right)\right)\right)$$
$$\mathbf{466} := F\left(F\left(4\right)\right) \times F\left(T\left(6\right) - F\left(6\right)\right)$$
$$\mathbf{466} := Q\left(Q\left(4\right)\right) + C\left(6\right) - 6$$
$$\mathbf{466} := Q\left(Q\left(4\right)\right) + T\left(6!/Q\left(6\right)\right)$$
$$\mathbf{466} := Q\left(Q\left(4\right)\right) - 6 + C\left(6\right)$$

$$\mathbf{467} := 4 + C\left(F\left(6\right)\right) - Q\left(7\right)$$
$$\mathbf{467} := -F\left(\sqrt{4}\right) + Q\left(6\right) \times F\left(7\right)$$
$$\mathbf{467} := F\left(4\right) + T\left(T\left(6\right)\right) + F\left(F\left(7\right)\right)$$
$$\mathbf{467} := F\left(T\left(4\right)\right) + 6 + T\left(T\left(7\right)\right)$$
$$\mathbf{467} := T\left(4!\right) + C\left(6\right) - Q\left(7\right)$$
$$\mathbf{467} := T\left(T\left(4\right)\right) + 6 + T\left(T\left(7\right)\right)$$

$$\mathbf{468} := \sqrt{4} \times C\left(6\right) + T\left(8\right)$$
$$\mathbf{468} := -\sqrt{C\left(4\right)} - Q\left(6\right) + C\left(8\right)$$
$$\mathbf{468} := \sqrt{F\left(4\right)^{6}} + Q\left(F\left(8\right)\right)$$
$$\mathbf{468} := 4! \times T\left(6\right) - T\left(8\right)$$
$$\mathbf{468} := C\left(4!/F\left(6\right)\right) + Q\left(F\left(8\right)\right)$$
$$\mathbf{468} := C\left(F\left(4\right)\right) + F\left(F\left(6\right)\right) \times F\left(8\right)$$
$$\mathbf{468} := F\left(4\right) + T\left(-6 + T\left(8\right)\right)$$

$\mathbf{468} := T\left(\sqrt{4}\right) + T\left(-6 + T\left(8\right)\right)$

$\mathbf{469} := 4 + T\left(T\left(6\right) + 9\right)$
$\mathbf{469} := -C\left(4\right) + C\left(F\left(6\right)\right) + F\left(F\left(\left(\sqrt{9}\right)!\right)\right)$
$\mathbf{469} := -F\left(4\right)! + Q\left(F\left(F\left(6\right)\right)\right) + F\left(9\right)$
$\mathbf{469} := Q\left(Q\left(4\right)\right) + C\left(6\right) - \sqrt{9}$
$\mathbf{469} := -T\left(F\left(4\right)\right) \times T\left(6\right) + T\left(F\left(9\right)\right)$

$\mathbf{470} := C\left(4\right) + T\left(T\left(7\right)\right) + 0$
$\mathbf{470} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right)\right) + T\left(7\right) + 0!$
$\mathbf{470} := T\left(4!\right) + Q\left(F\left(7\right)\right) + 0!$

$\mathbf{471} := C\left(4\right) + T\left(T\left(7\right)\right) + 1$
$\mathbf{471} := Q\left(4!\right) - T\left(F\left(7\right) + 1\right)$
$\mathbf{471} := Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + T\left(T\left(7\right) + 1\right)$
$\mathbf{471} := T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + T\left(T\left(7\right) + 1\right)$

$\mathbf{472} := \left(F\left(4\right) + F\left(F\left(7\right)\right)\right) \times 2$
$\mathbf{472} := \left(T\left(4\right) + Q\left(7\right)\right) \times C\left(2\right)$
$\mathbf{472} := -4! + T\left(T\left(7\right) + T\left(2\right)\right)$
$\mathbf{472} := C\left(4\right) \times 7 + Q\left(2\right)!$
$\mathbf{472} := C\left(4\right) + T\left(T\left(7\right)\right) + 2$
$\mathbf{472} := Q\left(Q\left(4\right)\right) + C\left(7 - F\left(2\right)\right)$

$\mathbf{473} := \sqrt{C\left(4\right)} \times Q\left(7\right) + Q\left(Q\left(3\right)\right)$
$\mathbf{473} := \sqrt{C\left(4\right)} + T\left(T\left(7\right) + F\left(3\right)\right)$
$\mathbf{473} := 4! + F\left(F\left(7\right)\right) + C\left(3!\right)$
$\mathbf{473} := C\left(4\right) + T\left(T\left(7\right)\right) + 3$
$\mathbf{473} := F\left(4\right) \times Q\left(F\left(7\right)\right) - F\left(Q\left(3\right)\right)$
$\mathbf{473} := F\left(T\left(F\left(4\right)\right)\right) + T\left(T\left(7\right) + F\left(3\right)\right)$
$\mathbf{473} := T\left(\sqrt{4} + T\left(7\right)\right) + F\left(T\left(3\right)\right)$
$\mathbf{473} := T\left(Q\left(4\right)\right) + C\left(7\right) - T\left(3\right)$
$\mathbf{473} := -T\left(T\left(4\right)\right) + T\left(-Q\left(7\right) + Q\left(Q\left(3\right)\right)\right)$

$\mathbf{474} := \left(4 + F\left(F\left(7\right)\right)\right) \times \sqrt{4}$
$\mathbf{474} := \left(4 + F\left(F\left(7\right)\right)\right) \times F\left(F\left(4\right)\right)$
$\mathbf{474} := \left(T\left(4!\right) - 7!\right) / \left(-T\left(4\right)\right)$
$\mathbf{474} := 4 + T\left(T\left(7\right)\right) + C\left(4\right)$
$\mathbf{474} := C\left(4\right) + T\left(T\left(7\right)\right) + 4$
$\mathbf{474} := T\left(4\right) \times Q\left(7\right) - Q\left(4\right)$

$\mathbf{475} := \left(F\left(4\right)! + F\left(7\right)\right) \times Q\left(5\right)$
$\mathbf{475} := C\left(4\right) + T\left(T\left(7\right)\right) + 5$
$\mathbf{475} := F\left(Q\left(4\right)\right) - C\left(C\left(7 - 5\right)\right)$
$\mathbf{475} := F\left(T\left(4\right)\right) + T\left(7\right) \times T\left(5\right)$
$\mathbf{475} := T\left(4\right) \times Q\left(7\right) - T\left(5\right)$
$\mathbf{475} := T\left(T\left(4\right)\right) + T\left(7\right) \times T\left(5\right)$

$\mathbf{476} := \sqrt{4} \times \left(7 + T\left(T\left(6\right)\right)\right)$
$\mathbf{476} := \sqrt{C\left(4\right)} + F\left(7\right) \times Q\left(6\right)$
$\mathbf{476} := C\left(\left(\sqrt{C\left(4\right)}\right)!/7!\right) - Q\left(6\right)$
$\mathbf{476} := C\left(4\right) + T\left(T\left(7\right)\right) + 6$
$\mathbf{476} := C\left(F\left(4\right)\right) + F\left(F\left(7\right)\right) + C\left(6\right)$
$\mathbf{476} := F\left(F\left(4\right)!\right) + F\left(7\right) \times Q\left(6\right)$
$\mathbf{476} := F\left(F\left(4\right)\right) \times \left(7 + T\left(T\left(6\right)\right)\right)$
$\mathbf{476} := -T\left(Q\left(4\right)\right) \times T\left(7\right) / \left(-F\left(6\right)\right)$

$\mathbf{477} := \sqrt{F\left(\sqrt{4}\right) + 7!} + T\left(T\left(7\right)\right)$
$\mathbf{477} := C\left(4\right) + 7 + T\left(T\left(7\right)\right)$
$\mathbf{477} := C\left(4\right) + T\left(T\left(7\right)\right) + 7$
$\mathbf{477} := -C\left(F\left(4\right)\right) \times Q\left(F\left(7\right)\right) + 7!$
$\mathbf{477} := Q\left(Q\left(F\left(4\right)\right) + F\left(7\right)\right) - 7$
$\mathbf{477} := -T\left(4!\right) - 7 + Q\left(T\left(7\right)\right)$
$\mathbf{477} := T\left(4\right) \times Q\left(7\right) - F\left(7\right)$

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$$\mathbf{477} := T\left(T\left(T\left(F\left(4\right)\right)\right)\right) + F\left(7\right) + F\left(F\left(7\right)\right)$$

$$\mathbf{478} := \sqrt{C\left(4\right)} + T\left(T\left(7\right)\right) + Q\left(8\right)$$
$$\mathbf{478} := 4! + F\left(7\right) + Q\left(F\left(8\right)\right)$$
$$\mathbf{478} := C\left(4\right) + T\left(T\left(7\right)\right) + 8$$
$$\mathbf{478} := -C\left(F\left(4\right)\right) - 7 + C\left(8\right)$$
$$\mathbf{478} := T\left(4\right) + F\left(7\right) \times T\left(8\right)$$
$$\mathbf{478} := T\left(Q\left(4\right)\right) + T\left(T\left(7\right)\right) - Q\left(8\right)$$

$$\mathbf{479} := C\left(4\right) + T\left(T\left(7\right)\right) + 9$$
$$\mathbf{479} := C\left(Q\left(F\left(4\right)\right)\right) - Q\left(F\left(7\right)\right) - Q\left(9\right)$$
$$\mathbf{479} := F\left(4\right)!! - F\left(F\left(7\right)\right) - F\left(\left(\sqrt{9}\right)!\right)$$
$$\mathbf{479} := Q\left(Q\left(4\right)\right) + 7 + C\left(\left(\sqrt{9}\right)!\right)$$
$$\mathbf{479} := T\left(F\left(4\right)\right)! - F\left(F\left(7\right)\right) - F\left(T\left(\sqrt{9}\right)\right)$$
$$\mathbf{479} := T\left(Q\left(4\right)\right) + 7^{\sqrt{9}}$$

$$\mathbf{480} := 4! \times \left(F\left(8\right) - 0!\right)$$
$$\mathbf{480} := 4 \times \left(\sqrt{T\left(8\right)} - 0!\right)!$$
$$\mathbf{480} := T\left(F\left(4\right)\right) \times 80$$
$$\mathbf{480} := T\left(T\left(\sqrt{4}\right)\right) \times 80$$
$$\mathbf{480} := F\left(4\right)! \times 80$$

$$\mathbf{481} := -F\left(4\right) + Q\left(F\left(8\right) + 1\right)$$
$$\mathbf{481} := Q\left(Q\left(4\right)\right) + Q\left(T\left(\sqrt{T\left(8\right)} - 1\right)\right)$$

$$\mathbf{482} := \left(T\left(4\right) + T\left(F\left(8\right)\right)\right) \times 2$$
$$\mathbf{482} := \left(T\left(4\right) + T\left(T\left(\sqrt{T\left(8\right)}\right)\right)\right) \times 2$$
$$\mathbf{482} := -\sqrt{4} + Q\left(\sqrt{T\left(8\right)} + Q\left(Q\left(2\right)\right)\right)$$
$$\mathbf{482} := -\sqrt{4} + Q\left(F\left(8\right) + F\left(2\right)\right)$$
$$\mathbf{482} := -4! + C\left(8\right) - T\left(T\left(2\right)\right)$$

$$\mathbf{483} := \left(\sqrt{4} + F\left(8\right)\right) \times F\left(F\left(3!\right)\right)$$
$$\mathbf{483} := \left(\sqrt{4} + F\left(8\right)\right) \times T\left(T\left(3\right)\right)$$
$$\mathbf{483} := \left(\sqrt{4} + T\left(\sqrt{T\left(8\right)}\right)\right) \times T\left(T\left(3\right)\right)$$
$$\mathbf{483} := \left(F\left(F\left(4\right)\right) + F\left(8\right)\right) \times F\left(F\left(3!\right)\right)$$
$$\mathbf{483} := \left(F\left(F\left(4\right)\right) + F\left(8\right)\right) \times T\left(T\left(3\right)\right)$$
$$\mathbf{483} := -\sqrt{4} + C\left(8\right) - C\left(3\right)$$
$$\mathbf{483} := F\left(4\right)! + Q\left(F\left(8\right)\right) + Q\left(3!\right)$$
$$\mathbf{483} := T\left(4 \times 8\right) - T\left(Q\left(3\right)\right)$$

$$\mathbf{484} := \left(F\left(\sqrt{4}\right) + F\left(8\right)\right)^{\sqrt{4}}$$
$$\mathbf{484} := \left(F\left(F\left(F\left(4\right)\right)\right) + F\left(8\right)\right)^{F\left(F\left(4\right)\right)}$$
$$\mathbf{484} := -4 + C\left(8\right) - 4!$$
$$\mathbf{484} := Q\left(4! - 8/4\right)$$
$$\mathbf{484} := Q\left(Q\left(4\right) + 8 - \sqrt{4}\right)$$
$$\mathbf{484} := Q\left(T\left(4\right) + 8 + 4\right)$$

$$\mathbf{485} := -\sqrt{4} + C\left(8\right) - Q\left(5\right)$$
$$\mathbf{485} := \sqrt{C\left(C\left(4\right)\right)} - C\left(8 - 5\right)$$
$$\mathbf{485} := -F\left(T\left(4\right)\right) + T\left(8\right) \times T\left(5\right)$$
$$\mathbf{485} := Q\left(4!\right) - T\left(8 + 5\right)$$
$$\mathbf{485} := T\left(4\right) \times T\left(8\right) + C\left(5\right)$$
$$\mathbf{485} := -T\left(T\left(4\right)\right) + T\left(8\right) \times T\left(5\right)$$

$$\mathbf{486} := \sqrt{F\left(4\right)^{8} \times Q\left(6\right)}$$
$$\mathbf{486} := \sqrt{T\left(\sqrt{4}\right)^{8} \times Q\left(6\right)}$$
$$\mathbf{486} := 4! + T\left(F\left(8\right)\right) + T\left(T\left(6\right)\right)$$
$$\mathbf{486} := \sqrt{F\left(4\right)^{8}} \times 6$$
$$\mathbf{486} := \sqrt{T\left(\sqrt{4}\right)^{8}} \times 6$$
$$\mathbf{486} := Q\left(Q\left(\left(1/8\right) \times 4!\right)\right) \times 6$$

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$$\mathbf{486} := T\left(\sqrt{C\left(4\right)}\right) + T\left(T\left(8\right)\right) - C\left(6\right)$$
$$\mathbf{486} := T\left(4\right) + C\left(8\right) - Q\left(6\right)$$
$$\mathbf{486} := T\left(T\left(F\left(4\right)\right)\right) + T\left(-6 + T\left(8\right)\right)$$

$$\mathbf{487} := \sqrt{F\left(4\right)^{8}} + T\left(T\left(7\right)\right)$$
$$\mathbf{487} := \sqrt{T\left(\sqrt{4}\right)^{8}} + T\left(T\left(7\right)\right)$$
$$\mathbf{487} := 4 \times T\left(8\right) + C\left(7\right)$$
$$\mathbf{487} := F\left(4\right) + C\left(8\right) - T\left(7\right)$$
$$\mathbf{487} := -F\left(4\right) + Q\left(F\left(8\right)\right) + Q\left(7\right)$$
$$\mathbf{487} := F\left(4 + 8\right) + C\left(7\right)$$
$$\mathbf{487} := Q\left(4 + 8\right) + C\left(7\right)$$
$$\mathbf{487} := Q\left(Q\left(4!/8\right)\right) + T\left(T\left(7\right)\right)$$
$$\mathbf{487} := Q\left(Q\left(4\right)\right) + T\left(8 + F\left(7\right)\right)$$
$$\mathbf{487} := T\left(4!/8\right)! - F\left(F\left(7\right)\right)$$

$$\mathbf{488} := -\left(-4 + 8\right)! + C\left(8\right)$$
$$\mathbf{488} := \left(F\left(4\right) - Q\left(8\right)\right) \times \left(-8\right)$$
$$\mathbf{488} := \left(F\left(T\left(4\right)\right) + \sqrt{T\left(8\right)}\right) \times 8$$
$$\mathbf{488} := \left(T\left(T\left(4\right)\right) + \sqrt{T\left(8\right)}\right) \times 8$$
$$\mathbf{488} := -4! + \sqrt{C\left(8 \times 8\right)}$$
$$\mathbf{488} := -4! + 8 \times Q\left(8\right)$$
$$\mathbf{488} := -F\left(4\right) \times 8 + C\left(8\right)$$
$$\mathbf{488} := C\left(\sqrt{4} + 8\right) - C\left(8\right)$$
$$\mathbf{488} := C\left(T\left(4\right)\right) - \sqrt{C\left(8 \times 8\right)}$$
$$\mathbf{488} := -Q\left(4\right) - 8 + C\left(8\right)$$
$$\mathbf{488} := T\left(T\left(4\right) + F\left(8\right)\right) - 8$$

$$\mathbf{489} := \sqrt{T\left(F\left(T\left(F\left(4\right)\right)\right)\right)} + T\left(F\left(8\right)\right) \times T\left(T\left(9\right)\right)$$
$$\mathbf{489} := 4! + T\left(Q\left(8\right) - F\left(9\right)\right)$$
$$\mathbf{489} := 4! + T\left(T\left(8\right) - T\left(\sqrt{9}\right)\right)$$
$$\mathbf{489} := 4 + C\left(8\right) - \sqrt{C\left(9\right)}$$
$$\mathbf{489} := 4 + C\left(8\right) - C\left(\sqrt{9}\right)$$
$$\mathbf{489} := Q\left(4!\right) - \sqrt{T\left(8\right)} - Q\left(9\right)$$
$$\mathbf{489} := Q\left(Q\left(4\right)\right) + F\left(F\left(F\left(8\right)/\sqrt{9}\right)\right)$$
$$\mathbf{489} := T\left(4!\right) + F\left(8\right) \times 9$$

$$\mathbf{490} := \left(T\left(T\left(\sqrt{4}\right)\right)\right)! - T\left(T\left(T\left(\sqrt{9}\right)\right)\right) + 0!$$
$$\mathbf{490} := \sqrt{C\left(C\left(4\right)\right)} - F\left(F\left(\left(\sqrt{9}\right)!\right)\right) - 0!$$
$$\mathbf{490} := \sqrt{C\left(C\left(4\right)\right)} - T\left(T\left(\sqrt{9}\right)\right) - 0!$$
$$\mathbf{490} := F\left(4\right)! + Q\left(F\left(F\left(\left(\sqrt{9}\right)!\right)\right) + 0!\right)$$
$$\mathbf{490} := Q\left(F\left(\sqrt{C\left(4\right)}\right)\right) + Q\left(\left(\sqrt{9}\right)! + 0!\right)$$
$$\mathbf{490} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 0$$
$$\mathbf{490} := T\left(4\right) \times Q\left(T\left(\sqrt{9}\right) + 0!\right)$$
$$\mathbf{490} := T\left(F\left(4\right)\right)! - T\left(T\left(T\left(\sqrt{9}\right)\right)\right) + 0!$$

$$\mathbf{491} := \sqrt{C\left(C\left(4\right)\right)} - F\left(9 - 1\right)$$
$$\mathbf{491} := \sqrt{C\left(C\left(4\right)\right)} - T\left(T\left(\sqrt{9 \times 1}\right)\right)$$
$$\mathbf{491} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 1$$

$$\mathbf{492} := \left(T\left(T\left(4\right)\right) + C\left(\sqrt{9}\right)\right) \times T\left(T\left(2\right)\right)$$
$$\mathbf{492} := \sqrt{C\left(4\right)} + Q\left(\left(\sqrt{9}\right)! + Q\left(Q\left(2\right)\right)\right)$$
$$\mathbf{492} := \sqrt{C\left(C\left(4\right)\right)} + F\left(F\left(\sqrt{9}\right)\right) - F\left(C\left(2\right)\right)$$
$$\mathbf{492} := -4 + T\left(F\left(9\right) - T\left(2\right)\right)$$
$$\mathbf{492} := 9 \times F\left(T\left(4\right)\right) - T\left(2\right)$$
$$\mathbf{492} := 9 \times T\left(T\left(4\right)\right) - T\left(2\right)$$
$$\mathbf{492} := F\left(4\right)! \times \left(Q\left(9\right) + F\left(2\right)\right)$$
$$\mathbf{492} := Q\left(4!\right) - Q\left(9\right) - T\left(2\right)$$
$$\mathbf{492} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 2$$
$$\mathbf{492} := T\left(F\left(4\right)\right) \times \left(Q\left(9\right) + F\left(2\right)\right)$$

$$\mathbf{493} := \sqrt{C\left(C\left(4\right)\right)} - C\left(\sqrt{9}\right) + C\left(F\left(3\right)\right)$$
$$\mathbf{493} := 4 + T\left(\sqrt{9}\right)! - T\left(T\left(T\left(3\right)\right)\right)$$

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$\mathbf{493} := -F(4) + T(F(9) - 3)$
$\mathbf{493} := Q(4!) - Q(9) - F(3)$
$\mathbf{493} := Q(F(Q(F(4)))) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 3$
$\mathbf{493} := Q\left(Q(4) + \left(\sqrt{9}\right)!\right) + Q(3)$
$\mathbf{493} := T\left(4 + C\left(\sqrt{9}\right)\right) - 3$
$\mathbf{493} := T(T(4)) - \sqrt{9} + Q(T(T(3)))$
$\mathbf{493} := T\left(T(4) + T\left(T\left(\sqrt{9}\right)\right)\right) - 3$

$\mathbf{494} := (Q(Q(4)) - 9) \times \sqrt{4}$
$\mathbf{494} := -\sqrt{4} + T(F(9) - F(4))$
$\mathbf{494} := -\sqrt{4} + T\left(T(4) + T\left(T\left(\sqrt{9}\right)\right)\right)$
$\mathbf{494} := \sqrt{C(C(4))} - 9 \times \sqrt{4}$
$\mathbf{494} := 4! \times T\left(T\left(\sqrt{9}\right)\right) - T(4)$
$\mathbf{494} := -F(F(4)) + T(F(9) - F(4))$
$\mathbf{494} := Q(F(Q(F(4)))) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 4$

$\mathbf{495} := \left(\sqrt{C(4)}\right)!/Q\left(\left(\sqrt{9}\right)!\right) - Q(Q(5))$
$\mathbf{495} := F(T(4)) \times T(9)/5$
$\mathbf{495} := T(T(4)) \times T(9)/5$
$\mathbf{495} := (4! + 9) \times T(5)$
$\mathbf{495} := Q(4!) - Q(F(9) - Q(5))$
$\mathbf{495} := Q(F(Q(F(4)))) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 5$

$\mathbf{496} := \left(C(4) - F\left(\sqrt{9}\right)\right) \times F(6)$
$\mathbf{496} := -\sqrt{C(4)} + 9!/6!$
$\mathbf{496} := -F((F(4))!) + 9!/6!$
$\mathbf{496} := -F(F(4)!) \times \left(F\left(\sqrt{9}\right) - Q(F(6))\right)$
$\mathbf{496} := Q(F(Q(F(4)))) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 6$
$\mathbf{496} := T(4) + 6 \times Q(9)$
$\mathbf{496} := T\left(4 + \sqrt{\sqrt{9^6}}\right)$
$\mathbf{496} := T(4 + C(9 - 6))$
$\mathbf{496} := T(F(4) + F(9) - 6)$
$\mathbf{496} := T(T(4) + T(T(9 - 6)))$

$\mathbf{497} := (-T(4) + Q(9)) \times 7$
$\mathbf{497} := 4! \times F\left(F\left(\left(\sqrt{9}\right)!\right)\right) - 7$
$\mathbf{497} := F\left(\sqrt{4}\right) + C(9) - F(F(7))$
$\mathbf{497} := F\left(\sqrt{4}\right) + T\left(\sqrt{9} + T(7)\right)$
$\mathbf{497} := F(T(4)) + F(9) \times F(7)$
$\mathbf{497} := Q(F(Q(F(4)))) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 7$
$\mathbf{497} := Q\left(Q(4) + \left(\sqrt{9}\right)!\right) + F(7)$
$\mathbf{497} := T(4 + 9) + T(T(7))$

$\mathbf{498} := \left(\sqrt{4} + Q(9)\right) \times \sqrt{T(8)}$
$\mathbf{498} := \sqrt{4} \times T\left(T\left(T\left(\sqrt{9}\right)\right)\right) + T(8)$
$\mathbf{498} := -\sqrt{C(4)} - \left(\sqrt{9}\right)! + C(8)$
$\mathbf{498} := -\sqrt{C(4)} - T\left(\sqrt{9}\right) + C(8)$
$\mathbf{498} := 4! \times T\left(T\left(\sqrt{9}\right)\right) - \sqrt{T(8)}$
$\mathbf{498} := -4! + Q(9) + Q(F(8))$
$\mathbf{498} := F(4)^{T(\sqrt{9})} - T(F(8))$
$\mathbf{498} := Q(4!) - T(-9 + F(8))$
$\mathbf{498} := Q(F(Q(F(4)))) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 8$
$\mathbf{498} := T(F(4))! + (9 - T(F(8)))$

$\mathbf{499} := \sqrt{C(C(4))} - F\left(F(9) - C\left(\sqrt{9}\right)\right)$
$\mathbf{499} := F(4) + T\left(F(9) - \sqrt{9}\right)$
$\mathbf{499} := Q(4) \times F(9) - T(9)$
$\mathbf{499} := Q(F(Q(F(4)))) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 9$
$\mathbf{499} := Q(Q(4)) + \sqrt{9} \times Q(9)$
$\mathbf{499} := T(-4 + F(9)) + F(9)$

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$$\mathbf{499} := T\left(T\left(T\left(4\right)\right)\right) - T\left(\sqrt{9}\right) - T\left(T\left(9\right)\right)$$

$$\mathbf{500} := 5 \times Q\left(T\left(Q\left(0! + 0!\right)\right)\right)$$
$$\mathbf{500} := C\left(5\right) \times Q\left(0! + 0!\right)$$

$$\mathbf{502} := -T\left(5 - 0!\right) + C\left(C\left(2\right)\right)$$

$$\mathbf{503} := C\left(5\right) + T\left(C\left(03\right)\right)$$
$$\mathbf{503} := C\left(C\left(\sqrt{5 - 0!}\right)\right) - Q\left(3\right)$$
$$\mathbf{503} := C\left(F\left(5 + 0!\right)\right) - Q\left(3\right)$$

$$\mathbf{504} := \left(C\left(5\right) + 0!\right) \times 4$$
$$\mathbf{504} := F\left(F\left(5 + 0!\right)\right) \times 4!$$
$$\mathbf{504} := -Q\left(5\right) + Q\left(-0! + 4!\right)$$
$$\mathbf{504} := Q\left(Q\left(5\right)\right) - Q\left(0! + T\left(4\right)\right)$$
$$\mathbf{504} := T\left(5 + 0!\right) \times 4!$$

$$\mathbf{505} := -5! + Q\left(Q\left(05\right)\right)$$
$$\mathbf{505} := -T\left(T\left(5\right) - 0!\right) + F\left(T\left(5\right)\right)$$

$$\mathbf{506} := \sqrt{C\left(C\left(5 - 0!\right)\right)} - 6$$
$$\mathbf{506} := -5 - 0! + C\left(F\left(6\right)\right)$$
$$\mathbf{506} := C\left(C\left(\sqrt{5 - 0!}\right)\right) - 6$$

$$\mathbf{507} := -5 + C\left(0! + 7\right)$$
$$\mathbf{507} := F\left(5 - 0!\right) \times Q\left(F\left(7\right)\right)$$

$$\mathbf{508} := -5 + 0! + C\left(8\right)$$

$$\mathbf{509} := \sqrt{C\left(C\left(5 - 0!\right)\right)} - \sqrt{9}$$
$$\mathbf{509} := C\left(C\left(\sqrt{5 - 0!}\right)\right) - \sqrt{9}$$
$$\mathbf{509} := C\left(F\left(5 + 0!\right)\right) - \sqrt{9}$$
$$\mathbf{509} := Q\left(5\right) + Q\left(0! + T\left(T\left(\sqrt{9}\right)\right)\right)$$
$$\mathbf{509} := Q\left(5\right) + Q\left(F\left(F\left(0! + \left(\sqrt{9}\right)!\right)\right)\right)$$

$$\mathbf{510} := F\left(T\left(5\right)\right) - Q\left(10\right)$$

$$\mathbf{511} := \sqrt{C\left(C\left(5 - 1\right)\right)} - 1$$
$$\mathbf{511} := C\left(F\left(5 + 1\right)\right) - 1$$

$$\mathbf{512} := Q\left(Q\left(5 - 1\right)\right) \times 2$$
$$\mathbf{512} := C\left(\left(5 - 1\right) \times 2\right)$$
$$\mathbf{512} := F\left(5 + 1\right)^{F(Q(2))}$$
$$\mathbf{512} := F\left(5 + 1\right)^{T(2)}$$

$$\mathbf{513} := T\left(\sqrt{T\left(Q\left(5\right)\right)} - 1\right) \times 3$$
$$\mathbf{513} := -C\left(5 + 1\right) + C\left(Q\left(3\right)\right)$$
$$\mathbf{513} := C\left(F\left(5 + 1\right)\right) + F\left(F\left(3\right)\right)$$

$$\mathbf{514} := \sqrt{5 - 1} + \sqrt{C\left(C\left(4\right)\right)}$$
$$\mathbf{514} := \sqrt{C\left(C\left(5 - 1\right)\right)} + \sqrt{4}$$
$$\mathbf{514} := C\left(F\left(5 + 1\right)\right) + \sqrt{4}$$
$$\mathbf{514} := Q\left(T\left(5\right)\right) + Q\left(1 + Q\left(4\right)\right)$$

$$\mathbf{516} := 5 - 1 + C\left(F\left(6\right)\right)$$
$$\mathbf{516} := T\left(\left(5 - 1\right)!\right) + C\left(6\right)$$

$$\mathbf{517} := 5 + C\left(1 + 7\right)$$

$$\mathbf{518} := 5 + 1 + C\left(8\right)$$

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$\mathbf{519} := F\left(T\left(5\right)\right) - T\left(F\left(1 + T\left(\sqrt{9}\right)\right)\right)$

$\mathbf{520} := 5! + Q\left(20\right)$

$\mathbf{521} := F\left(T\left(5\right)\right) - F\left(T\left(Q\left(2\right)\right) + 1\right)$

$\mathbf{522} := \left(5 + Q\left(Q\left(Q\left(2\right)\right)\right)\right) \times 2$
$\mathbf{522} := 5 \times 2 + C\left(C\left(2\right)\right)$
$\mathbf{522} := -F\left(T\left(5\right) - T\left(2\right)\right) + T\left(T\left(F\left(T\left(T\left(2\right)\right)\right)\right)\right)$
$\mathbf{522} := Q\left(T\left(5\right)\right) - T\left(2\right) + T\left(Q\left(2\right)!\right)$

$\mathbf{523} := 5 + C\left(C\left(2\right)\right) + 3!$
$\mathbf{523} := 5 + C\left(C\left(2\right)\right) + T\left(3\right)$
$\mathbf{523} := -Q\left(5\right) + C\left(C\left(2\right)\right) + Q\left(3!\right)$
$\mathbf{523} := Q\left(Q\left(5\right) - 2\right) - 3!$
$\mathbf{523} := Q\left(Q\left(5\right) - 2\right) - T\left(3\right)$

$\mathbf{524} := \left(C\left(5\right) + T\left(T\left(2\right)\right)\right) \times 4$
$\mathbf{524} := -52 + Q\left(4!\right)$
$\mathbf{524} := C\left(5\right) \times Q\left(2\right) + 4!$
$\mathbf{524} := Q\left(T\left(5\right)\right) - F\left(2\right) + T\left(4!\right)$

$\mathbf{525} := \left(1/5\right) \times C\left(5\right) \times F\left(C\left(2\right)\right)$
$\mathbf{525} := \left(Q\left(5\right) - Q\left(2\right)\right) \times Q\left(5\right)$
$\mathbf{525} := T\left(T\left(5\right) - F\left(2\right)\right) \times 5$
$\mathbf{525} := 5 \times T\left(T\left(T\left(2\right)\right)\right) \times 5$
$\mathbf{525} := T\left(5\right) \times T\left(C\left(2\right)\right) - T\left(5\right)$

$\mathbf{526} := 5! + T\left(-C\left(2\right) + Q\left(6\right)\right)$
$\mathbf{526} := 5! + T\left(T\left(F\left(2\right) + 6\right)\right)$
$\mathbf{526} := 5 + Q\left(F\left(Q\left(2\right)\right)\right) + C\left(F\left(6\right)\right)$
$\mathbf{526} := F\left(T\left(5\right)\right) - Q\left(2\right) \times T\left(6\right)$
$\mathbf{526} := -T\left(5\right) + Q\left(T\left(Q\left(2\right)\right)\right) + Q\left(T\left(6\right)\right)$
$\mathbf{526} := T\left(5\right) - F\left(2\right) + C\left(F\left(6\right)\right)$
$\mathbf{526} := T\left(T\left(5\right)\right) + T\left(T\left(F\left(2\right) + 6\right)\right)$

$\mathbf{527} := 5! + F\left(2\right) + T\left(T\left(7\right)\right)$
$\mathbf{527} := Q\left(Q\left(5\right)\right) - 2 \times Q\left(7\right)$
$\mathbf{527} := T\left(5\right) + C\left(C\left(2\right)!/7!\right)$
$\mathbf{527} := T\left(5\right) + C\left(F\left(2\right) + 7\right)$
$\mathbf{527} := T\left(T\left(5\right)\right) + F\left(2\right) + T\left(T\left(7\right)\right)$

$\mathbf{528} := -5! + Q\left(Q\left(F\left(Q\left(2\right)\right)\right)\right) \times 2$
$\mathbf{528} := -5 + F\left(C\left(2\right)\right) + C\left(8\right)$
$\mathbf{528} := Q\left(5 - F\left(2\right)\right) + C\left(8\right)$
$\mathbf{528} := T\left(\left(5 - F\left(2\right)\right) \times 8\right)$
$\mathbf{528} := T\left(5!/T\left(2\right) - 8\right)$
$\mathbf{528} := T\left(5\right) + F\left(2\right) + C\left(8\right)$
$\mathbf{528} := T\left(5 \times C\left(2\right) - 8\right)$
$\mathbf{528} := T\left(T\left(T\left(5\right)\right)/T\left(2\right) - 8\right)$

$\mathbf{529} := \left(T\left(5\right) + C\left(2\right)\right)^{F\left(\sqrt{9}\right)}$
$\mathbf{529} := \left(T\left(5\right) + F\left(T\left(T\left(2\right)\right)\right)\right)^{F\left(\sqrt{9}\right)}$
$\mathbf{529} := Q\left(5 + 2 \times 9\right)$
$\mathbf{529} := -T\left(5 + T\left(T\left(2\right)\right)\right) + T\left(F\left(9\right)\right)$

$\mathbf{530} := Q\left(Q\left(5\right) - F\left(3\right)\right) + 0!$

$\mathbf{531} := C\left(5\right) + T\left(C\left(3\right) + 1\right)$
$\mathbf{531} := -Q\left(Q\left(5\right)\right) + Q\left(F\left(Q\left(3 \times 1\right)\right)\right)$

$\mathbf{532} := 5!/3! + C\left(C\left(2\right)\right)$
$\mathbf{532} := 5!/T\left(3\right) + C\left(C\left(2\right)\right)$
$\mathbf{532} := F\left(T\left(5\right)\right) - T\left(T\left(3\right) \times 2\right)$
$\mathbf{532} := F\left(T\left(5\right)\right) - T\left(Q\left(3\right) + T\left(2\right)\right)$

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$\mathbf{532} := Q\left(Q\left(5\right) - F\left(3\right)\right) + F\left(Q\left(2\right)\right)$
$\mathbf{532} := T\left(T\left(3\right) + Q\left(5\right)\right) + Q\left(T\left(T\left(2\right)\right)\right)$

$\mathbf{533} := C\left(5 + 3\right) + F\left(C\left(F\left(3\right)\right)\right)$
$\mathbf{533} := C\left(5 + 3\right) + T\left(T\left(3\right)\right)$
$\mathbf{533} := F\left(T\left(5\right)\right) - T\left(T\left(T\left(3\right)\right)\right)/3$
$\mathbf{533} := Q\left(5\right) \times T\left(T\left(3\right)\right) + F\left(T\left(3\right)\right)$
$\mathbf{533} := -Q\left(5 + Q\left(3\right)\right) + C\left(Q\left(3\right)\right)$
$\mathbf{533} := Q\left(Q\left(5\right) - F\left(3\right)\right) + Q\left(F\left(3\right)\right)$
$\mathbf{533} := T\left(Q\left(5\right)\right) \times T\left(Q\left(Q\left(3\right)\right)\right)/Q\left(T\left(Q\left(3\right)\right)\right)$

$\mathbf{534} := -5 + C\left(3\right) + \sqrt{C\left(C\left(4\right)\right)}$
$\mathbf{534} := 5 + Q\left(C\left(3\right) - 4\right)$
$\mathbf{534} := F\left(5 + 3!\right) \times \left(F\left(4\right)\right)!$
$\mathbf{534} := F\left(5 + T\left(3\right)\right) \times T\left(F\left(4\right)\right)$
$\mathbf{534} := F\left(T\left(5\right)\right) - T\left(T\left(3\right)\right) - F\left(T\left(4\right)\right)$
$\mathbf{534} := Q\left(Q\left(5\right)\right) - T\left(F\left(3 + 4\right)\right)$
$\mathbf{534} := Q\left(Q\left(5\right)\right) - T\left(Q\left(3\right) + 4\right)$

$\mathbf{535} := F\left(T\left(5\right)\right) - 3 \times Q\left(5\right)$
$\mathbf{535} := Q\left(Q\left(5\right)\right) - T\left(3\right) \times T\left(5\right)$
$\mathbf{535} := T\left(5\right) \times T\left(C\left(F\left(3\right)\right)\right) - 5$
$\mathbf{535} := T\left(5\right) \times T\left(F\left(T\left(3\right)\right)\right) - 5$

$\mathbf{536} := \left(5 - F\left(F\left(3\right)\right)\right)! + C\left(F\left(6\right)\right)$
$\mathbf{536} := F\left(T\left(5\right)\right)/F\left(3\right) + T\left(T\left(6\right)\right)$
$\mathbf{536} := -Q\left(5\right) + T\left(-3 + Q\left(6\right)\right)$
$\mathbf{536} := -Q\left(5\right) + T\left(C\left(3\right) + 6\right)$
$\mathbf{536} := Q\left(Q\left(5\right)\right) - F\left(3 + F\left(6\right)\right)$

$\mathbf{537} := C\left(5\right) + T\left(3\right) + T\left(T\left(7\right)\right)$
$\mathbf{537} := Q\left(Q\left(5\right)\right) - Q\left(Q\left(3\right)\right) - 7$

$\mathbf{538} := 5 + F\left(C\left(F\left(3\right)\right)\right) + C\left(8\right)$
$\mathbf{538} := 5 + T\left(T\left(3\right)\right) + C\left(8\right)$
$\mathbf{538} := F\left(T\left(5\right)\right) - Q\left(3\right) \times 8$
$\mathbf{538} := F\left(T\left(5\right)\right) - F\left(3\right) \times T\left(8\right)$
$\mathbf{538} := Q\left(5\right) + F\left(F\left(3\right)\right) + C\left(8\right)$
$\mathbf{538} := Q\left(Q\left(5\right)\right) - Q\left(Q\left(3\right)\right) - \sqrt{T\left(8\right)}$

$\mathbf{539} := C\left(5 + 3\right) + \sqrt{C\left(9\right)}$
$\mathbf{539} := C\left(5 + 3\right) + C\left(\sqrt{9}\right)$
$\mathbf{539} := F\left(T\left(5\right)\right) - T\left(T\left(F\left(T\left(3\right)\right)\right)\right) + T\left(F\left(9\right)\right)$
$\mathbf{539} := Q\left(5\right) - Q\left(Q\left(3\right)\right) + T\left(F\left(9\right)\right)$
$\mathbf{539} := -Q\left(Q\left(5\right)\right) + F\left(3!\right) + Q\left(F\left(9\right)\right)$
$\mathbf{539} := T\left(5\right) \times T\left(F\left(T\left(3\right)\right)\right) - F\left(F\left(\sqrt{9}\right)\right)$
$\mathbf{539} := -T\left(Q\left(5\right) + T\left(3\right)\right) + T\left(T\left(9\right)\right)$

$\mathbf{540} := T\left(5\right) \times Q\left(T\left(\sqrt{4} + 0!\right)\right)$
$\mathbf{540} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 0$
$\mathbf{540} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 0$
$\mathbf{540} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 0$
$\mathbf{540} := T\left(5\right) \times T\left(C\left(\sqrt{4}\right)\right) + 0$
$\mathbf{540} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 0$

$\mathbf{541} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 1$
$\mathbf{541} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 1$
$\mathbf{541} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 1$
$\mathbf{541} := T\left(5\right) \times T\left(C\left(\sqrt{4}\right)\right) + 1$
$\mathbf{541} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 1$
$\mathbf{541} := T\left(Q\left(5\right)\right) + C\left(T\left(4 - 1\right)\right)$

$\mathbf{542} := 5!/4 + C\left(C\left(2\right)\right)$
$\mathbf{542} := F\left(T\left(5\right)\right) - C\left(4\right) - Q\left(2\right)$
$\mathbf{542} := -Q\left(5\right) + Q\left(4!\right) - Q\left(T\left(2\right)\right)$

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$\mathbf{542} := Q\left(Q\left(5\right)\right) - Q\left(Q\left(F\left(4\right)\right)\right) - 2$

$\mathbf{542} := T\left(5\right) \times \sqrt{4} + C\left(C\left(2\right)\right)$

$\mathbf{542} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 2$

$\mathbf{542} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 2$

$\mathbf{542} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 2$

$\mathbf{542} := T\left(5\right) \times T\left(C\left(\sqrt{4}\right)\right) + 2$

$\mathbf{542} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 2$

$\mathbf{543} := -5 + \sqrt{C\left(C\left(4\right)\right)} + Q\left(3!\right)$

$\mathbf{543} := F\left(T\left(5\right)\right) - C\left(4\right) - 3$

$\mathbf{543} := -Q\left(5\right) + Q\left(4!\right) - C\left(F\left(3\right)\right)$

$\mathbf{543} := -Q\left(5\right) + Q\left(4!\right) - F\left(3!\right)$

$\mathbf{543} := Q\left(Q\left(5\right)\right) - T\left(T\left(4\right)\right) - C\left(3\right)$

$\mathbf{543} := -Q\left(T\left(5\right)\right) + Q\left(Q\left(4\right)\right) \times 3$

$\mathbf{543} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 3$

$\mathbf{543} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 3$

$\mathbf{543} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 3$

$\mathbf{543} := T\left(5\right) \times T\left(C\left(\sqrt{4}\right)\right) + 3$

$\mathbf{543} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 3$

$\mathbf{543} := T\left(5\right) + T\left(4 \times F\left(T\left(3\right)\right)\right)$

$\mathbf{543} := T\left(5\right) + T\left(Q\left(4\right) \times F\left(3\right)\right)$

$\mathbf{544} := \left(5! + Q\left(4\right)\right) \times 4$

$\mathbf{544} := 5! \times 4 + C\left(4\right)$

$\mathbf{544} := T\left(-5 + T\left(T\left(T\left(\sqrt{4}\right)\right)\right)\right) \times 4$

$\mathbf{544} := F\left(T\left(5\right)\right) - T\left(F\left(\sqrt{4}\right) + T\left(4\right)\right)$

$\mathbf{544} := F\left(T\left(5\right)\right) - T\left(F\left(F\left(F\left(4\right)\right)\right) + T\left(4\right)\right)$

$\mathbf{544} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 4$

$\mathbf{544} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 4$

$\mathbf{544} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 4$

$\mathbf{544} := T\left(5\right) \times T\left(C\left(\sqrt{4}\right)\right) + 4$

$\mathbf{544} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 4$

$\mathbf{545} := \left(C\left(5\right) - Q\left(4\right)\right) \times 5$

$\mathbf{545} := 5! + T\left(4!\right) + C\left(5\right)$

$\mathbf{545} := F\left(T\left(5\right)\right) + F\left(T\left(4\right)\right) - 5!$

$\mathbf{545} := F\left(T\left(5\right)\right) + F\left(T\left(4\right)\right) - T\left(T\left(5\right)\right)$

$\mathbf{545} := Q\left(Q\left(5\right)\right) - Q\left(4\right) \times 5$

$\mathbf{545} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 5$

$\mathbf{545} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 5$

$\mathbf{545} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 5$

$\mathbf{545} := T\left(5\right) \times T\left(C\left(\sqrt{4}\right)\right) + 5$

$\mathbf{545} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 5$

$\mathbf{546} := \left(5 + F\left(F\left(\left(F\left(4\right)\right)!\right)\right)\right) \times F\left(F\left(6\right)\right)$

$\mathbf{546} := \left(Q\left(5\right) + F\left(\sqrt{4}\right)\right) \times F\left(F\left(6\right)\right)$

$\mathbf{546} := T\left(T\left(5\right) - \sqrt{4}\right) \times 6$

$\mathbf{546} := F\left(5 + 4\right) + C\left(F\left(6\right)\right)$

$\mathbf{546} := F\left(T\left(5\right)\right) - \sqrt{4^6}$

$\mathbf{546} := F\left(T\left(5\right)\right) - F\left(F\left(4\right)\right)^6$

$\mathbf{546} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 6$

$\mathbf{546} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 6$

$\mathbf{546} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 6$

$\mathbf{546} := T\left(5\right) \times T\left(C\left(\sqrt{4}\right)\right) + 6$

$\mathbf{546} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 6$

$\mathbf{546} := T\left(5\right) + T\left(4!\right) + T\left(T\left(6\right)\right)$

$\mathbf{547} := 5! + T\left(T\left(T\left(\sqrt{4}\right)\right)\right) + T\left(T\left(7\right)\right)$

$\mathbf{547} := 5 + T\left(Q\left(4\right)\right) + T\left(T\left(7\right)\right)$

$\mathbf{547} := -C\left(5\right) + 4! \times T\left(7\right)$

$\mathbf{547} := Q\left(Q\left(5\right)\right) - F\left(4\right)! \times F\left(7\right)$

$\mathbf{547} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 7$

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$\mathbf{547} := T(5) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 7$
$\mathbf{547} := T(5) \times T\left(\sqrt{C(4)}\right) + 7$
$\mathbf{547} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 7$
$\mathbf{547} := T(5) \times T(F(T(F(4)))) + 7$
$\mathbf{547} := T(T(5)) + T(T(F(4))) + T(T(7))$
$\mathbf{547} := T(T(5)) + T\left(T\left(T\left(\sqrt{4}\right)\right)\right) + T(T(7))$
$\mathbf{547} := T(T(5) + 4!) - F(F(7))$

$\mathbf{548} := -5! + \sqrt{4} + T(T(8))$
$\mathbf{548} := -5! + F(F(4)) + T(T(8))$
$\mathbf{548} := F(T(5)) + \sqrt{4} - Q(8)$
$\mathbf{548} := Q\left(\left(\sqrt{5+4}\right)!\right) + C(8)$
$\mathbf{548} := Q(Q(5) - F(4)) + Q(8)$
$\mathbf{548} := T(5) \times Q(T(F(4))) + 8$
$\mathbf{548} := T(5) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 8$
$\mathbf{548} := T(5) \times T\left(\sqrt{C(4)}\right) + 8$
$\mathbf{548} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 8$
$\mathbf{548} := T(5) \times T(F(T(F(4)))) + 8$
$\mathbf{548} := T(5 + F(4)) + C(8)$
$\mathbf{548} := -T(T(5)) + \sqrt{4} + T(T(8))$
$\mathbf{548} := -T(T(5)) + F(F(4)) + T(T(8))$

$\mathbf{549} := (C(5) - C(4)) \times 9$
$\mathbf{549} := 5 + Q(4) \times F(9)$
$\mathbf{549} := F(T(5))/T(4) \times 9$
$\mathbf{549} := F(T(5)) - F(T(4)) - T\left(\sqrt{9}\right)$
$\mathbf{549} := Q(T(5)) + 4 \times Q(9)$
$\mathbf{549} := T(5) \times Q(T(F(4))) + 9$
$\mathbf{549} := T(5) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 9$
$\mathbf{549} := T(5) \times T\left(\sqrt{C(4)}\right) + 9$
$\mathbf{549} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 9$
$\mathbf{549} := T(5) \times T(F(T(F(4)))) + 9$
$\mathbf{549} := -T\left(T(5) + T\left(\sqrt{4}\right)\right) + T\left(\sqrt{9}\right)!$

$\mathbf{550} := Q(T(5)) + T(Q(5)) + 0$

$\mathbf{551} := -C(5) + Q(Q(5) + 1)$
$\mathbf{551} := -Q(5) + Q((5-1)!)$
$\mathbf{551} := -Q(5) + Q(Q(5) - 1)$
$\mathbf{551} := Q(T(5)) + T(Q(5)) + 1$

$\mathbf{552} := Q(5!/5) - (Q(2))!$
$\mathbf{552} := Q(T(5)) + T(Q(5)) + 2$
$\mathbf{552} := T(5) + Q(5) + C(C(2))$

$\mathbf{553} := Q(5) + T(5 + C(3))$
$\mathbf{553} := Q(T(5)) + T(Q(5)) + 3$

$\mathbf{554} := F(T(5)) + F(T(5)) - T(T(F(T(F(4)))))$
$\mathbf{554} := F(T(5)) - 5! + C(4)$
$\mathbf{554} := Q(5) + Q\left(Q(5) - \sqrt{4}\right)$
$\mathbf{554} := Q(T(5)) + T(Q(5)) + 4$

$\mathbf{555} := C(T(5))/5 - 5!$
$\mathbf{555} := F(T(5)) - 55$
$\mathbf{555} := Q(T(5)) + T(Q(5)) + 5$

$\mathbf{556} := -5! + Q(5 + T(6))$
$\mathbf{556} := Q(Q(5)) - 5 - Q(F(6))$
$\mathbf{556} := Q(T(5)) + T(Q(5)) + 6$
$\mathbf{556} := T(5 \times 5) + T(T(6))$

$\mathbf{557} := F(T(5)) - Q(5) - T(7)$

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$\mathbf{557} := Q\left(Q\left(5\right)+5\right)-C\left(7\right)$
$\mathbf{557} := Q\left(T\left(5\right)\right)+T\left(Q\left(5\right)\right)+7$

$\mathbf{558} := Q\left(T\left(5\right)\right)+T\left(Q\left(5\right)\right)+8$
$\mathbf{558} := T\left(Q\left(5\right)\right)+F\left(5+8\right)$

$\mathbf{559} := C\left(5+5\right)-Q\left(F\left(F\left(\left(\sqrt{9}\right)!\right)\right)\right)$
$\mathbf{559} := Q\left(Q\left(5\right)\right)+T\left(5\right)-Q\left(9\right)$
$\mathbf{559} := Q\left(T\left(5\right)\right)+T\left(Q\left(5\right)\right)+9$
$\mathbf{559} := -T\left(5!/T\left(5\right)\right)+T\left(F\left(9\right)\right)$
$\mathbf{559} := -T\left(T\left(T\left(5\right)\right)/T\left(5\right)\right)+T\left(F\left(9\right)\right)$

$\mathbf{560} := 5!+Q\left(T\left(6\right)\right)-0!$
$\mathbf{560} := Q\left(Q\left(5\right)\right)-Q\left(F\left(6\right)\right)-0!$
$\mathbf{560} := T\left(Q\left(5\right)+F\left(6\right)\right)-0!$

$\mathbf{561} := Q\left(Q\left(5\right)\right)-Q\left(F\left(6\times 1\right)\right)$
$\mathbf{561} := T\left(5+T\left(6+1\right)\right)$
$\mathbf{561} := T\left(Q\left(5\right)+F\left(6\times 1\right)\right)$

$\mathbf{562} := -5+T\left(6\right)\times C\left(T\left(2\right)\right)$
$\mathbf{562} := F\left(T\left(5\right)\right)-6\times C\left(2\right)$
$\mathbf{562} := F\left(T\left(5\right)\right)-F\left(6\right)\times T\left(T\left(2\right)\right)$
$\mathbf{562} := Q\left(Q\left(5\right)\right)-Q\left(F\left(6\right)\right)+F\left(2\right)$
$\mathbf{562} := Q\left(Q\left(5\right)\right)-T\left(6\right)\times T\left(2\right)$

$\mathbf{563} := C\left(5\right)+Q\left(T\left(6\right)\right)-3$
$\mathbf{563} := Q\left(Q\left(5\right)\right)-Q\left(F\left(6\right)\right)+F\left(3\right)$
$\mathbf{563} := Q\left(T\left(5\right)+F\left(6\right)\right)+F\left(Q\left(3\right)\right)$
$\mathbf{563} := T\left(5\right)+C\left(F\left(6\right)\right)+Q\left(T\left(3\right)\right)$
$\mathbf{563} := T\left(5\right)+T\left(F\left(6\right)\right)+C\left(C\left(F\left(3\right)\right)\right)$

$\mathbf{564} := \left(5!+F\left(F\left(6\right)\right)\right)\times 4$
$\mathbf{564} := \left(5!+T\left(6\right)\right)\times 4$
$\mathbf{564} := \left(T\left(T\left(5\right)\right)+T\left(6\right)\right)\times 4$
$\mathbf{564} := F\left(T\left(5\right)\right)-T\left(F\left(6\right)\right)-T\left(4\right)$
$\mathbf{564} := Q\left(Q\left(5\right)\right)-Q\left(F\left(6\right)\right)+F\left(4\right)$
$\mathbf{564} := T\left(5\right)\times Q\left(6\right)+4!$

$\mathbf{565} := F\left(T\left(5\right)\right)-T\left(-6+T\left(5\right)\right)$
$\mathbf{565} := Q\left(Q\left(5\right)\right)-\sqrt{5\times 6!}$
$\mathbf{565} := T\left(5\right)\times Q\left(6\right)+Q\left(5\right)$

$\mathbf{566} := \sqrt{5^6}+Q\left(F\left(F\left(6\right)\right)\right)$
$\mathbf{566} := \sqrt{5^6}+Q\left(T\left(6\right)\right)$
$\mathbf{566} := C\left(5\right)+F\left(F\left(6\right)\right)\times F\left(F\left(6\right)\right)$
$\mathbf{566} := C\left(5\right)+T\left(6\right)\times T\left(6\right)$
$\mathbf{566} := F\left(T\left(5\right)\right)-F\left(6\right)-T\left(F\left(6\right)\right)$
$\mathbf{566} := F\left(T\left(5\right)\right)-Q\left(6\right)-F\left(6\right)$

$\mathbf{567} := Q\left(Q\left(-5+F\left(6\right)\right)\right)\times 7$
$\mathbf{567} := Q\left(T\left(5\right)-6\right)\times 7$
$\mathbf{567} := -C\left(5\right)+6!-T\left(7\right)$
$\mathbf{567} := F\left(T\left(5\right)\right)-Q\left(6\right)-7$
$\mathbf{567} := F\left(T\left(5\right)\right)-T\left(F\left(6\right)\right)-7$

$\mathbf{568} := 5\times C\left(6\right)-C\left(8\right)$
$\mathbf{568} := 56+C\left(8\right)$
$\mathbf{568} := F\left(T\left(5\right)\right)-6-T\left(8\right)$
$\mathbf{568} := F\left(T\left(5\right)\right)-T\left(6\right)-F\left(8\right)$
$\mathbf{568} := Q\left(Q\left(5\right)\right)-Q\left(6\right)-F\left(8\right)$
$\mathbf{568} := Q\left(Q\left(5\right)\right)-T\left(6\right)-T\left(8\right)$

$\mathbf{569} := -5-T\left(6\right)+T\left(F\left(9\right)\right)$
$\mathbf{569} := C\left(5\right)+Q\left(T\left(6\right)\right)+\sqrt{9}$
$\mathbf{569} := -Q\left(5\right)-Q\left(T\left(6\right)\right)+T\left(T\left(9\right)\right)$

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$\mathbf{569} := Q\left(Q\left(5\right)\right) - Q\left(F\left(6\right)\right) + F\left(\left(\sqrt{9}\right)!\right)$

$\mathbf{570} := -Q\left(5\right) + T\left(\sqrt{T\left(Q\left(7\right)\right)} - 0!\right)$

$\mathbf{572} := \left(-5! + T\left(T\left(7\right)\right)\right) \times 2$
$\mathbf{572} := \left(-T\left(T\left(5\right)\right) + T\left(T\left(7\right)\right)\right) \times 2$
$\mathbf{572} := Q\left(Q\left(5\right)\right) - Q\left(7\right) - Q\left(2\right)$
$\mathbf{572} := Q\left(T\left(5\right)\right) + C\left(7\right) + Q\left(2\right)$

$\mathbf{573} := F\left(T\left(5\right)\right) - T\left(7\right) - Q\left(3\right)$
$\mathbf{573} := Q\left(Q\left(5\right)\right) - Q\left(7\right) - 3$
$\mathbf{573} := T\left(5\right) \times F\left(7\right) + T\left(C\left(3\right)\right)$
$\mathbf{573} := -T\left(5\right) + T\left(7\right) \times T\left(T\left(3\right)\right)$

$\mathbf{574} := 5 - 7 + Q\left(4!\right)$
$\mathbf{574} := -C\left(5\right) + F\left(F\left(7\right)\right) \times F\left(4\right)$
$\mathbf{574} := F\left(T\left(5\right)\right) + T\left(7\right) - C\left(4\right)$
$\mathbf{574} := F\left(T\left(5\right)\right) - Q\left(T\left(7 - 4\right)\right)$
$\mathbf{574} := F\left(T\left(5\right)\right) - T\left(F\left(7\right)\right) + F\left(T\left(4\right)\right)$
$\mathbf{574} := Q\left(Q\left(5\right)\right) - Q\left(7\right) - \sqrt{4}$
$\mathbf{574} := T\left(5\right) + C\left(7\right) + C\left(T\left(T\left(\sqrt{4}\right)\right)\right)$

$\mathbf{575} := \left(-5 + T\left(7\right)\right) \times Q\left(5\right)$
$\mathbf{575} := F\left(T\left(5\right)\right) - 7 \times 5$

$\mathbf{576} := -F\left(5 + 7\right) + 6!$
$\mathbf{576} := F\left(T\left(5\right)\right) - T\left(7\right) - 6$
$\mathbf{576} := Q\left(\left(5 - 7 + 6\right)!\right)$
$\mathbf{576} := Q\left(Q\left(5\right) - 7 + 6\right)$

$\mathbf{577} := T\left(5 + F\left(7\right)\right) + T\left(T\left(7\right)\right)$

$\mathbf{577} := T\left(Q\left(5\right) - 7\right) + T\left(T\left(7\right)\right)$

$\mathbf{578} := Q\left(5\right) + Q\left(T\left(7\right)\right) - T\left(F\left(8\right)\right)$
$\mathbf{578} := -Q\left(5\right) + T\left(F\left(7\right)\right) + C\left(8\right)$
$\mathbf{578} := -T\left(Q\left(5\right)\right) + T\left(\sqrt{Q\left(7\right) \times T\left(8\right)}\right)$

$\mathbf{579} := -5! + F\left(F\left(7\right)\right) \times \sqrt{9}$
$\mathbf{579} := 5 + C\left(7\right) + T\left(T\left(T\left(\sqrt{9}\right)\right)\right)$
$\mathbf{579} := F\left(T\left(5\right)\right) - T\left(7\right) - \sqrt{9}$
$\mathbf{579} := Q\left(Q\left(5\right)\right) - Q\left(7\right) + \sqrt{9}$

$\mathbf{580} := Q\left(Q\left(5\right)\right) - T\left(8 + 0!\right)$
$\mathbf{580} := -T\left(5\right) + T\left(F\left(8 + 0!\right)\right)$

$\mathbf{581} := 5 + Q\left(Q\left(F\left(\sqrt{8 + 1}\right)\right)!\right)$

$\mathbf{582} := \left(-5 + 8\right)! + Q\left(\left(Q\left(2\right)\right)!\right)$
$\mathbf{582} := -5! + T\left(T\left(8\right)\right) + T\left(C\left(2\right)\right)$
$\mathbf{582} := C\left(5\right) + Q\left(F\left(8\right)\right) + Q\left(Q\left(2\right)\right)$
$\mathbf{582} := F\left(T\left(5\right)\right) - T\left(8\right) + C\left(2\right)$
$\mathbf{582} := F\left(T\left(5\right)\right) - T\left(8 - F\left(2\right)\right)$
$\mathbf{582} := T\left(-5 + 8\right) + Q\left(Q\left(2\right)!\right)$
$\mathbf{582} := T\left(5 + T\left(\sqrt{T\left(8\right)}\right)\right) + T\left(T\left(T\left(T\left(2\right)\right)\right)\right)$

$\mathbf{583} := -5! + T\left(Q\left(8\right) - C\left(3\right)\right)$
$\mathbf{583} := F\left(5!/3\right) - C\left(3\right)$
$\mathbf{583} := F\left(T\left(5\right)\right) - F\left(8\right) - T\left(3\right)$
$\mathbf{583} := F\left(T\left(5\right)\right) - T\left(8\right) + Q\left(3\right)$
$\mathbf{583} := Q\left(Q\left(5\right)\right) - F\left(8\right) \times F\left(3\right)$
$\mathbf{583} := Q\left(Q\left(5\right)\right) - T\left(8\right) - T\left(3\right)$

$\mathbf{584} := \left(C\left(5\right) + F\left(8\right)\right) \times 4$

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$\mathbf{584} := \left(C\left(5\right) + T\left(\sqrt{T\left(8\right)}\right)\right) \times 4$

$\mathbf{584} := F\left((-5+8)!\right) + Q\left(4!\right)$

$\mathbf{584} := F\left(T\left(5\right)\right) - T\left(8\right) + T\left(4\right)$

$\mathbf{584} := Q\left(T\left(5\right) + 8\right) + T\left(T\left(4\right)\right)$

$\mathbf{584} := -T\left(-5 + T\left(\sqrt{T\left(8\right)}\right)\right) + T\left(T\left(\sqrt{4}\right)\right)!$

$\mathbf{585} := \left(C\left(5\right) - 8\right) \times 5$

$\mathbf{585} := -\sqrt{\sqrt{5^{8}}} + F\left(T\left(5\right)\right)$

$\mathbf{585} := 5! + T\left(\sqrt{T\left(8\right)} \times 5\right)$

$\mathbf{585} := Q\left(Q\left(5\right)\right) - 8 \times 5$

$\mathbf{585} := T\left(5\right) \times \left(Q\left(8\right) - Q\left(5\right)\right)$

$\mathbf{585} := T\left(T\left(5\right)\right) + T\left(\sqrt{T\left(8\right)} \times 5\right)$

$\mathbf{586} := F\left(T\left(5\right)\right) - \left(\sqrt{8 + F\left(6\right)}\right)!$

$\mathbf{586} := F\left(T\left(5\right)\right) - Q\left(8-6\right)!$

$\mathbf{587} := F\left(T\left(5\right)\right) - T\left(8\right) + F\left(7\right)$

$\mathbf{588} := T\left(T\left(5\right) - 8\right) \times F\left(8\right)$

$\mathbf{588} := T\left(T\left(5\right) - 8\right) \times T\left(\sqrt{T\left(8\right)}\right)$

$\mathbf{589} := \sqrt{5^{8}} - Q\left(\left(\sqrt{9}\right)!\right)$

$\mathbf{589} := -5 + C\left(\sqrt{T\left(8\right)}\right) + T\left(C\left(\sqrt{9}\right)\right)$

$\mathbf{589} := -5 - Q\left(F\left(8\right)\right) + T\left(T\left(9\right)\right)$

$\mathbf{589} := -C\left(5\right) + F\left(8\right) \times F\left(9\right)$

$\mathbf{589} := F\left(5!/8\right) - F\left(F\left(\left(\sqrt{9}\right)!\right)\right)$

$\mathbf{589} := Q\left(Q\left(5\right)\right) - \sqrt{T\left(8\right)} \times T\left(\sqrt{9}\right)$

$\mathbf{589} := Q\left(Q\left(5\right)\right) - Q\left(8 - F\left(\sqrt{9}\right)\right)$

$\mathbf{589} := T\left(5\right) - F\left(8\right) + T\left(F\left(9\right)\right)$

$\mathbf{589} := T\left(5 \times 8\right) - T\left(T\left(T\left(\sqrt{9}\right)\right)\right)$

$\mathbf{590} := -5 + T\left(F\left(9\right)\right) + 0$

$\mathbf{590} := Q\left(Q\left(5\right)\right) - F\left(9\right) - 0!$

$\mathbf{590} := Q\left(Q\left(5\right)\right) - Q\left(\left(\sqrt{9}\right)!\right) + 0!$

$\mathbf{590} := Q\left(Q\left(5\right)\right) - Q\left(T\left(\sqrt{9}\right)\right) + 0!$

$\mathbf{591} := -5 + T\left(F\left(9\right)\right) + 1$

$\mathbf{591} := Q\left(Q\left(5\right)\right) - F\left(9 \times 1\right)$

$\mathbf{591} := T\left(5\right) + Q\left(\left(\sqrt{9} + 1\right)!\right)$

$\mathbf{592} := -5! + \left(\sqrt{9}\right)!! - C\left(2\right)$

$\mathbf{592} := -5 + T\left(F\left(9\right)\right) + 2$

$\mathbf{592} := C\left(5\right) - T\left(9\right) + C\left(C\left(2\right)\right)$

$\mathbf{592} := F\left(T\left(5\right)\right) - 9 \times 2$

$\mathbf{592} := Q\left(Q\left(5\right)\right) - 9 - \left(Q\left(2\right)\right)!$

$\mathbf{592} := Q\left(Q\left(5\right)\right) - F\left(9\right) + F\left(2\right)$

$\mathbf{592} := Q\left(T\left(5\right) + 9\right) + Q\left(Q\left(2\right)\right)$

$\mathbf{593} := -5 + T\left(F\left(9\right)\right) + 3$

$\mathbf{593} := C\left(5 + \sqrt{9}\right) + Q\left(Q\left(3\right)\right)$

$\mathbf{593} := F\left(5+9\right) + C\left(3!\right)$

$\mathbf{593} := F\left(T\left(5\right)\right) - F\left(9\right)/F\left(3\right)$

$\mathbf{593} := Q\left(Q\left(5\right)\right) - F\left(9\right) + F\left(3\right)$

$\mathbf{594} := \left(-5 + C\left(\sqrt{9}\right)\right) \times C\left(F\left(4\right)\right)$

$\mathbf{594} := \left(T\left(T\left(5\right)\right) - T\left(T\left(\sqrt{9}\right)\right)\right) \times T\left(T\left(\sqrt{4}\right)\right)$

$\mathbf{594} := -5! + \left(\sqrt{9}\right)!! - \left(F\left(4\right)\right)!$

$\mathbf{594} := -5! + F\left(9\right) \times F\left(F\left(\left(F\left(4\right)\right)!\right)\right)$

$\mathbf{594} := -5! + T\left(\sqrt{9}\right)! - T\left(T\left(\sqrt{4}\right)\right)$

$\mathbf{594} := -5 + T(F(9)) + 4$
$\mathbf{594} := 5 + T(F(9)) - T(F(4))$
$\mathbf{594} := -C(5) + C(9) - T(4)$
$\mathbf{594} := Q(Q(5)) - C\left(\sqrt{9}\right) - 4$
$\mathbf{594} := Q(Q(5)) - F(9) + F(4)$
$\mathbf{594} := T(5) + \sqrt{9} + Q(4!)$

$\mathbf{595} := \left(C(5) - \left(\sqrt{9}\right)!\right) \times 5$
$\mathbf{595} := -5! + \left(\sqrt{9}\right)!! - 5$
$\mathbf{595} := -5! + T\left(\sqrt{9}\right)! - 5$
$\mathbf{595} := -5 \times \left(\sqrt{9}\right)! + Q(Q(5))$
$\mathbf{595} := -5 + T(F(9)) + 5$
$\mathbf{595} := T((C(5) + T(9))/5)$
$\mathbf{595} := T(5! - Q(9) - 5)$
$\mathbf{595} := T(F(5 \times 9/5))$

$\mathbf{596} := -5 + T(F(9)) + 6$
$\mathbf{596} := -C(5) + C(9) - F(6)$
$\mathbf{596} := F(T(5)) - T\left(\sqrt{9}\right) - F(6)$
$\mathbf{596} := -Q(5) - T(9) + T(Q(6))$
$\mathbf{596} := Q(Q(5)) - F\left(\left(\sqrt{9}\right)!\right) - F(F(6))$

$\mathbf{597} := -5 + T(F(9)) + 7$
$\mathbf{597} := -C(5) + C(9) - 7$
$\mathbf{597} := F\left(5 \times \sqrt{9}\right) - F(7)$
$\mathbf{597} := F(T(5)) - T\left(\sqrt{9}\right) - 7$
$\mathbf{597} := -Q(Q(5)) - \sqrt{9} + T(Q(7))$
$\mathbf{597} := Q(T(5)) - F(9) + T(T(7))$
$\mathbf{597} := T(5) + T(F(9)) - F(7)$

$\mathbf{598} := 5! - F(9) + C(8)$
$\mathbf{598} := 5 + Q(9) + C(8)$
$\mathbf{598} := -5 + T(F(9)) + 8$
$\mathbf{598} := -C(5) + C(9) - \sqrt{T(8)}$
$\mathbf{598} := F(T(5)) + (9 - F(8))$
$\mathbf{598} := Q(Q(5)) - \left(\sqrt{9}\right)! - F(8)$
$\mathbf{598} := Q(Q(5)) + 9 - T(8)$

$\mathbf{599} := -5! + \left(\sqrt{9}\right)!! - F\left(F\left(\sqrt{9}\right)\right)$
$\mathbf{599} := 5 + C\left(T\left(\sqrt{9}\right)\right) + T\left(C\left(\sqrt{9}\right)\right)$
$\mathbf{599} := 5 + T\left(C\left(\sqrt{9}\right)\right) + C\left(T\left(\sqrt{9}\right)\right)$
$\mathbf{599} := -C(5) + Q\left(F\left(\sqrt{9}\right)\right) + \left(\sqrt{9}\right)!!$
$\mathbf{599} := -Q\left(5 + \left(\sqrt{9}\right)!\right) + \left(\sqrt{9}\right)!!$
$\mathbf{599} := -Q\left(5 + T\left(\sqrt{9}\right)\right) + T\left(\sqrt{9}\right)!$
$\mathbf{599} := Q(Q(5)) - F(9) + F\left(\left(\sqrt{9}\right)!\right)$
$\mathbf{599} := F(T(5)) - T(9) + F(9)$
$\mathbf{599} := -5 + T(F(9)) + 9$

$\mathbf{600} := 6 \times Q(T(Q(0! + 0!)))$

$\mathbf{601} := 6 + T(F(Q(T(0! + 1))))$

$\mathbf{602} := -F(6) + F(-0! + Q(Q(2)))$
$\mathbf{602} := F(T(6 - 0!)) - F(T(T(2)))$
$\mathbf{602} := T(Q(6)) - C(Q(02))$
$\mathbf{602} := T(Q(6)) - Q(-0! + Q(T(2)))$
$\mathbf{602} := T(T(F(6))) - C(0! + T(2))$

$\mathbf{603} := \sqrt{C(F(6) + 0!) + Q(3)!}$
$\mathbf{603} := C(F(6)) + T(F(0! + T(3)))$
$\mathbf{603} := F(6) + T(F(Q(03)))$
$\mathbf{603} := T(F(F(6) + 0!)) + F(T(3))$
$\mathbf{603} := T(Q(6) - 0!) - C(3)$

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$\mathbf{604} := -6 + F\left(T\left(0! + 4\right)\right)$
$\mathbf{604} := -F\left(F\left(6\right)\right) + Q\left(0! + 4!\right)$
$\mathbf{604} := -T\left(6\right) + Q\left(0! + 4!\right)$

$\mathbf{605} := -6 + 0! + F\left(T\left(5\right)\right)$
$\mathbf{605} := -F\left(F\left(6\right)\right) + 0! + Q\left(Q\left(5\right)\right)$
$\mathbf{605} := -T\left(6\right) + 0! + Q\left(Q\left(5\right)\right)$

$\mathbf{606} := -60 + T\left(Q\left(06\right)\right)$
$\mathbf{606} := -60 + T\left(T\left(F\left(06\right)\right)\right)$

$\mathbf{609} := -\left(6 - 0!\right)! + C\left(9\right)$
$\mathbf{609} := Q\left(Q\left(6 - 0!\right)\right) - Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)$
$\mathbf{609} := -T\left(6\right) + T\left(0! + F\left(9\right)\right)$
$\mathbf{609} := T\left(Q\left(6\right) - 0!\right) - T\left(T\left(\sqrt{9}\right)\right)$

$\mathbf{610} := F\left(-6 + F\left(C\left(1 + 0!\right)\right)\right)$
$\mathbf{610} := F\left(6 + Q\left(F\left(Q\left(1 + 0!\right)\right)\right)\right)$
$\mathbf{610} := F\left(Q\left(6\right) - F\left(C\left(1 + 0!\right)\right)\right)$
$\mathbf{610} := F\left(T\left(6 - 1\right)\right) + 0$

$\mathbf{611} := -6! + C\left(11\right)$
$\mathbf{611} := F\left(T\left(6 - 1\right)\right) + 1$
$\mathbf{611} := T\left(Q\left(6\right)\right) - T\left(T\left(Q\left(1 + 1\right)\right)\right)$

$\mathbf{612} := F\left(T\left(6 - 1\right)\right) + 2$
$\mathbf{612} := Q\left(6\right) \times \left(1 + Q\left(Q\left(2\right)\right)\right)$

$\mathbf{613} := F\left(T\left(6 - 1\right)\right) + 3$
$\mathbf{613} := Q\left(6\right) + 1 + Q\left(Q\left(F\left(3\right)\right)!\right)$

$\mathbf{614} := F\left(T\left(6 - 1\right)\right) + 4$
$\mathbf{614} := T\left(Q\left(6\right) - 1\right) - Q\left(4\right)$

$\mathbf{615} := 6! - T\left(-1 + T\left(5\right)\right)$
$\mathbf{615} := F\left(T\left(6 - 1\right)\right) + 5$

$\mathbf{616} := C\left(6\right) + Q\left(-1 + F\left(F\left(6\right)\right)\right)$
$\mathbf{616} := C\left(6\right) + Q\left(-1 + T\left(6\right)\right)$
$\mathbf{616} := F\left(T\left(6 - 1\right)\right) + 6$

$\mathbf{617} := C\left(F\left(6\right)\right) + T\left(1 + F\left(7\right)\right)$
$\mathbf{617} := F\left(T\left(6 - 1\right)\right) + 7$
$\mathbf{617} := T\left(Q\left(6\right)\right) - Q\left(1 \times 7\right)$

$\mathbf{618} := F\left(T\left(6 - 1\right)\right) + 8$

$\mathbf{619} := F\left(T\left(6 - 1\right)\right) + 9$
$\mathbf{619} := Q\left(Q\left(6 - 1\right)\right) - \left(\sqrt{9}\right)!$
$\mathbf{619} := Q\left(Q\left(6 - 1\right)\right) - T\left(\sqrt{9}\right)$

$\mathbf{620} := 6! - Q\left(Q\left(F\left(Q\left(2\right)\right)\right) + 0!\right)$
$\mathbf{620} := 6! - Q\left(T\left(Q\left(2\right)\right)\right) + 0$
$\mathbf{620} := Q\left(Q\left(6\right)\right) - Q\left(C\left(F\left(Q\left(2\right)\right)\right) - 0!\right)$
$\mathbf{620} := Q\left(Q\left(6\right)\right) - Q\left(C\left(T\left(2\right)\right) - 0!\right)$

$\mathbf{621} := 6! - Q\left(T\left(Q\left(2\right)\right)\right) + 1$
$\mathbf{621} := T\left(Q\left(6\right)\right) - T\left(Q\left(2 + 1\right)\right)$
$\mathbf{621} := T\left(T\left(F\left(6\right)\right)\right) - T\left(C\left(2\right) + 1\right)$
$\mathbf{621} := T\left(T\left(F\left(6\right)\right)\right) - T\left(F\left(T\left(T\left(2\right)\right)\right) + 1\right)$

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$\mathbf{622} := 6! - Q(T(Q(2))) + 2$
$\mathbf{622} := C(6) + T(T(C(2)) - C(2))$
$\mathbf{622} := F(6)!/Q(C(2)) - C(2)$
$\mathbf{622} := Q(Q(6 - F(2))) - F(Q(2))$
$\mathbf{622} := Q(T(6) + Q(2)) - T(2)$
$\mathbf{622} := T(Q(6) - 2) + C(T(2))$
$\mathbf{622} := T(T(F(6))) - T(C(2)) - C(2)$
$\mathbf{622} := T(T(F(6)) - F(2)) - F(T(T(2)))$

$\mathbf{623} := 6! - Q(Q(2)) - Q(Q(3))$
$\mathbf{623} := 6! - Q(T(Q(2))) + 3$
$\mathbf{623} := T(Q(6)) + 2 - T(Q(3))$
$\mathbf{623} := T(Q(6)) - C(Q(2)) + T(T(3))$
$\mathbf{623} := T(Q(6)) - Q(C(2)) + T(T(3))$
$\mathbf{623} := T(T(F(6)))/T(T(2)) + C(C(F(3)))$

$\mathbf{624} := (C(6) - C(2)) \times F(4)$
$\mathbf{624} := (Q(6) + T(2)) \times Q(4)$
$\mathbf{624} := 6! - Q(2) \times 4!$
$\mathbf{624} := 6! - Q(T(Q(2))) + 4$
$\mathbf{624} := -6 + C(2)!/C(4)$
$\mathbf{624} := -6 + T\left(\sqrt{T(-T(T(2)) + T(T(4)))}\right)$
$\mathbf{624} := C(6) \times T(2) - 4!$
$\mathbf{624} := F(6) \times T(2 + T(4))$

$\mathbf{625} := (6 - F(2)) \times C(5)$
$\mathbf{625} := (T(6) + Q(2)) \times Q(5)$
$\mathbf{625} := 6! - Q(T(Q(2))) + 5$
$\mathbf{625} := -C(6) + Q(Q(2) + Q(5))$
$\mathbf{625} := Q((6 - F(2)) \times 5)$
$\mathbf{625} := Q(Q(6 + Q(2) - 5))$
$\mathbf{625} := T(F(6) - T(2)) + F(T(5))$

$\mathbf{626} := (F(6)! - Q(Q(Q(2))))/Q(F(6))$
$\mathbf{626} := 6! - Q(T(Q(2))) + 6$
$\mathbf{626} := T(Q(6)) - Q(2) - Q(6)$

$\mathbf{627} := 6! - 2 - T(F(7))$
$\mathbf{627} := 6! - Q(T(Q(2))) + 7$
$\mathbf{627} := Q(F(6)) + Q(Q(2)!) - F(7)$
$\mathbf{627} := T(Q(6)) - T(2) \times F(7)$
$\mathbf{627} := T(T(6)) - T(Q(2)) + T(T(7))$
$\mathbf{627} := T(T(F(6))) - T(2) \times F(7)$

$\mathbf{628} := 6! - Q(T(Q(2))) + 8$
$\mathbf{628} := -T(F(6)) - 2 + T(T(8))$
$\mathbf{628} := T(Q(6)) - 2 - T(8)$

$\mathbf{629} := 6! - Q(T(Q(2))) + 9$
$\mathbf{629} := 6! - T(Q(2) + 9)$
$\mathbf{629} := F(F(6) + F(2)) + T(F(9))$
$\mathbf{629} := Q(6) + C(C(2)) + Q(9)$
$\mathbf{629} := Q(Q(6 - F(2))) + Q\left(F\left(\sqrt{9}\right)\right)$
$\mathbf{629} := T(F(6)) - 2 + T(F(9))$
$\mathbf{629} := -T(T(6) - C(2)) + T\left(\sqrt{9}\right)!$
$\mathbf{629} := -T(T(T(6)/T(2))) + T(T(9))$

$\mathbf{630} := F(F(6)) \times 30$
$\mathbf{630} := T(6) \times 30$
$\mathbf{630} := F(6)!/C(3 + 0!)$
$\mathbf{630} := F(6)!/Q(F(3!)) + 0$
$\mathbf{630} := F(6)!/Q(Q(3) - 0!)$
$\mathbf{630} := T(F(6) + C(3)) + 0$
$\mathbf{630} := T(Q(6)) - Q(T(3)) + 0$
$\mathbf{630} := T(T(F(6)) - F(F(3))) + 0$

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$\mathbf{631} := 6 + Q\left(Q\left(3! - 1\right)\right)$
$\mathbf{631} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 1$
$\mathbf{631} := T\left(6\right) + F\left(T\left(T\left(3\right) - 1\right)\right)$
$\mathbf{631} := T\left(F\left(6\right) + C\left(3\right)\right) + 1$
$\mathbf{631} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 1$
$\mathbf{631} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 1$

$\mathbf{632} := 6!/3! + C\left(C\left(2\right)\right)$
$\mathbf{632} := 6!/T\left(3\right) + C\left(C\left(2\right)\right)$
$\mathbf{632} := C\left(F\left(6\right)\right) + (3 + 2)!$
$\mathbf{632} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 2$
$\mathbf{632} := F\left(6\right) \times Q\left(Q\left(3\right)\right) - Q\left(Q\left(2\right)\right)$
$\mathbf{632} := T\left(F\left(6\right) + C\left(3\right)\right) + 2$
$\mathbf{632} := T\left(Q\left(6\right)\right) - F\left(3^2\right)$
$\mathbf{632} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 2$
$\mathbf{632} := T\left(T\left(F\left(6\right)\right)\right) - F\left(3^2\right)$
$\mathbf{632} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 2$

$\mathbf{633} := 6! - 3! - Q\left(Q\left(3\right)\right)$
$\mathbf{633} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 3$
$\mathbf{633} := F\left(6\right) + Q\left(C\left(3\right) - F\left(3\right)\right)$
$\mathbf{633} := T\left(F\left(6\right) + C\left(3\right)\right) + 3$
$\mathbf{633} := T\left(Q\left(6\right)\right) - 33$
$\mathbf{633} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 3$
$\mathbf{633} := T\left(T\left(F\left(6\right)\right)\right) - 33$
$\mathbf{633} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 3$

$\mathbf{634} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 4$
$\mathbf{634} := F\left(F\left(F\left(6\right)\right) - 3!\right) + 4!$
$\mathbf{634} := F\left(T\left(6\right) - T\left(3\right)\right) + 4!$
$\mathbf{634} := Q\left(F\left(6\right)\right) - 3! + Q\left(4!\right)$
$\mathbf{634} := T\left(C\left(6 - 3\right)\right) + Q\left(Q\left(4\right)\right)$
$\mathbf{634} := T\left(F\left(6\right) + C\left(3\right)\right) + 4$
$\mathbf{634} := T\left(Q\left(6\right)\right) - F\left(3\right) \times Q\left(4\right)$
$\mathbf{634} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 4$
$\mathbf{634} := T\left(Q\left(6\right) - Q\left(3\right)\right) + Q\left(Q\left(4\right)\right)$
$\mathbf{634} := T\left(T\left(F\left(6\right)\right)\right) - \sqrt{F\left(3\right)^{T(4)}}$
$\mathbf{634} := T\left(T\left(F\left(6\right)\right)\right) - F\left(T\left(3\right)\right) \times 4$
$\mathbf{634} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 4$

$\mathbf{635} := C\left(F\left(6\right)\right) + 3 + 5!$
$\mathbf{635} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 5$
$\mathbf{635} := F\left(6\right) + F\left(3\right) + Q\left(Q\left(5\right)\right)$
$\mathbf{635} := Q\left(Q\left(6\right)\right) - Q\left(3!\right) - Q\left(Q\left(5\right)\right)$
$\mathbf{635} := T\left(F\left(6\right) + C\left(3\right)\right) + 5$
$\mathbf{635} := T\left(Q\left(6\right)\right) - T\left(3\right) - Q\left(5\right)$
$\mathbf{635} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 5$
$\mathbf{635} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 5$

$\mathbf{636} := 6! - Q\left(F\left(3\right)\right) \times F\left(F\left(6\right)\right)$
$\mathbf{636} := 6 + T\left(C\left(3\right) + F\left(6\right)\right)$
$\mathbf{636} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 6$
$\mathbf{636} := T\left(F\left(6\right) + C\left(3\right)\right) + 6$
$\mathbf{636} := T\left(Q\left(6\right)\right) - Q\left(3\right) - T\left(6\right)$
$\mathbf{636} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 6$
$\mathbf{636} := T\left(T\left(F\left(6\right)\right)\right) + \left(T\left(3\right) - T\left(F\left(6\right)\right)\right)$
$\mathbf{636} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 6$

$\mathbf{637} := \left(F\left(F\left(6\right)\right) - C\left(F\left(3\right)\right)\right) \times Q\left(7\right)$
$\mathbf{637} := \left(F\left(F\left(6\right)\right) - F\left(3!\right)\right) \times Q\left(7\right)$
$\mathbf{637} := C\left(F\left(6\right)\right) + C\left(-F\left(3\right) + 7\right)$
$\mathbf{637} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 7$
$\mathbf{637} := -Q\left(Q\left(6\right) + 3!\right) + Q\left(Q\left(7\right)\right)$
$\mathbf{637} := Q\left(T\left(6\right)\right) + Q\left(F\left(3\right) \times 7\right)$
$\mathbf{637} := T\left(6\right)/3 \times T\left(F\left(7\right)\right)$
$\mathbf{637} := T\left(-6 + C\left(3\right)\right) + T\left(T\left(7\right)\right)$
$\mathbf{637} := T\left(F\left(6\right) + C\left(3\right)\right) + 7$

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$\mathbf{637} := T(Q(6)) - Q(T(3)) + 7$
$\mathbf{637} := T(T(6)) + T(T(T(3)) + 7)$
$\mathbf{637} := T(T(F(6)) - F(F(3))) + 7$

$\mathbf{638} := C(F(6)) + 3! \times F(8)$
$\mathbf{638} := F(6)!/Q(F(3!)) + 8$
$\mathbf{638} := T(6) \times T(3) + C(8)$
$\mathbf{638} := T(F(6) + C(3)) + 8$
$\mathbf{638} := T(Q(6)) - Q(T(3)) + 8$
$\mathbf{638} := T(T(6)) - F(Q(3)) + Q(F(8))$
$\mathbf{638} := -T(T(6)/3) + T(T(8))$
$\mathbf{638} := T(T(F(6)) - F(F(3))) + 8$

$\mathbf{639} := 3 \times C(6) - 9$
$\mathbf{639} := 6! - \sqrt{3^{F((\sqrt{9})!)}}$
$\mathbf{639} := 6! - Q(3) \times 9$
$\mathbf{639} := C(6) \times 3 - 9$
$\mathbf{639} := F(6)!/Q(F(3!)) + 9$
$\mathbf{639} := T(F(6)) + F(T(3)) + T(F(9))$
$\mathbf{639} := T(F(6) + C(3)) + 9$
$\mathbf{639} := T(Q(6)) - Q(T(3)) + 9$
$\mathbf{639} := T(T(F(6)) - F(F(3))) + 9$

$\mathbf{640} := 6! - Q\left(Q\left(T\left(\sqrt{4}\right)\right)\right) + 0!$
$\mathbf{640} := F(6)!/(C(4) - 0!)$
$\mathbf{640} := Q(F(6)) \times T(4) + 0$
$\mathbf{640} := Q(F(6)) + Q(4!) + 0$
$\mathbf{640} := T(Q(6)) - C\left(T\left(\sqrt{4}\right)\right) + 0!$

$\mathbf{641} := Q(F(6)) \times T(4) + 1$
$\mathbf{641} := Q(F(6)) + Q(4!) + 1$
$\mathbf{641} := T(Q(6)) - Q(4 + 1)$
$\mathbf{641} := T(T(F(6))) - 4! - 1$

$\mathbf{642} := \left(C(6) - \sqrt{4}\right) \times F(Q(2))$
$\mathbf{642} := \left(C(6) - \sqrt{4}\right) \times T(2)$
$\mathbf{642} := 6! - T(4!/2)$
$\mathbf{642} := 6! - T(F(4) \times Q(2))$
$\mathbf{642} := Q(F(6)) \times T(4) + 2$
$\mathbf{642} := Q(F(6)) + Q(4!) + 2$
$\mathbf{642} := T(T(F(6))) - 4 \times T(T(2))$

$\mathbf{643} := 6! + 4 - Q(Q(3))$
$\mathbf{643} := Q(F(6)) \times T(4) + 3$
$\mathbf{643} := Q(F(6)) + Q(4!) + 3$
$\mathbf{643} := T(6) + C(T(4)) - T(C(3))$
$\mathbf{643} := T(Q(6)) - C(3) + 3$
$\mathbf{643} := T(T(6))/(-F(4)) + (T(3))!$
$\mathbf{643} := -T(T(6))/T\left(\sqrt{4}\right) + (T(3))!$
$\mathbf{643} := T(T(F(6))) - \sqrt{4} - T(T(3))$
$\mathbf{643} := T(T(F(6))) - F(F(4)) - T(T(3))$

$\mathbf{644} := (C(6) - T(T(4))) \times 4$
$\mathbf{644} := 6! - T(T(4)) - T\left(T\left(T\left(\sqrt{4}\right)\right)\right)$
$\mathbf{644} := C(6) \times F(4) - 4$
$\mathbf{644} := Q(6!/4!) - Q(Q(4))$
$\mathbf{644} := Q(F(6)) \times T(4) + 4$
$\mathbf{644} := Q(F(6)) + 4 + Q(4!)$
$\mathbf{644} := Q(F(6)) + Q(4!) + 4$
$\mathbf{644} := Q(Q(6))/\sqrt{4} - 4$
$\mathbf{644} := T(Q(6)) - 4! + \sqrt{4}$
$\mathbf{644} := T(T(F(6))) - 4! + \sqrt{4}$
$\mathbf{644} := T(T(F(6))) - 4! + F(F(4))$
$\mathbf{644} := T(T(F(6))) - F\left(\sqrt{4}\right) - T(T(F(4)))$
$\mathbf{644} := T(T(F(6))) - T(T(F(4))) - F(F(F(4)))$

$\mathbf{645} := -(T(6) - C(4)) \times T(5)$
$\mathbf{645} := 6! - F(4) \times Q(5)$
$\mathbf{645} := C(F(6)) + \sqrt{C(4)} + C(5)$
$\mathbf{645} := Q(6) - Q(4) + Q(Q(5))$
$\mathbf{645} := Q(F(6)) \times T(4) + 5$
$\mathbf{645} := Q(F(6)) + Q(4!) + 5$
$\mathbf{645} := -T(6) + T(T(F(4) + 5))$
$\mathbf{645} := -T(6) + T\left(T\left(T\left(\sqrt{4}\right) + 5\right)\right)$
$\mathbf{645} := T(F(6)) - F\left(\sqrt{4}\right) + F(T(5))$
$\mathbf{645} := T(Q(6)) - Q(4) - 5$

$\mathbf{646} := 6 + Q(4!) + Q(F(6))$
$\mathbf{646} := F(T(F(6) - F(4))) + T(F(6))$
$\mathbf{646} := Q(F(6)) \times T(4) + 6$
$\mathbf{646} := Q(F(6)) + Q(4!) + 6$
$\mathbf{646} := T(6) + Q(4 + T(6))$
$\mathbf{646} := T(T(F(6))) + F\left(\sqrt{4}\right) - T(6)$

$\mathbf{647} := 6! - 4! - Q(7)$
$\mathbf{647} := Q(F(6)) \times T(4) + 7$
$\mathbf{647} := Q(F(6)) + Q(4!) + 7$
$\mathbf{647} := T(T(6)) + T(4) + T(T(7))$

$\mathbf{648} := C(6) \times 4!/8$
$\mathbf{648} := (-6 + 4!) \times T(8)$
$\mathbf{648} := (F(6) + T(4)) \times T(8)$
$\mathbf{648} := \left(T(6) - T\left(\sqrt{4}\right)\right) \times T(8)$
$\mathbf{648} := C(6) \times 4!/8$
$\mathbf{648} := F(6) \times \sqrt{F(4)^8}$
$\mathbf{648} := -Q(6) \times (F(4) - F(8))$
$\mathbf{648} := Q(F(6)) \times T(4) + 8$
$\mathbf{648} := Q(F(6)) + Q(4!) + 8$
$\mathbf{648} := Q(Q(6)) / (Q(4)/8)$

$\mathbf{649} := -6! + Q\left(C(4) - C\left(\sqrt{9}\right)\right)$
$\mathbf{649} := -6! + Q(F(4) + F(9))$
$\mathbf{649} := 6! + T(4) - Q(9)$
$\mathbf{649} := C(6) \times F(4) + F\left(F\left(\sqrt{9}\right)\right)$
$\mathbf{649} := C(6) + T(T(4)) + T\left(C\left(\sqrt{9}\right)\right)$
$\mathbf{649} := -F(6) \times T(4) + C(9)$
$\mathbf{649} := Q(F(6)) \times T(4) + 9$
$\mathbf{649} := Q(F(6)) + Q(4!) + 9$
$\mathbf{649} := T(T(F(6))) - F(T(F(4))) - 9$

$\mathbf{650} := T(Q(6)) - T(5) - 0!$
$\mathbf{650} := T(T(F(6))) - T(5) - 0!$

$\mathbf{651} := T(Q(6)) - T(5 \times 1)$
$\mathbf{651} := T(T(F(6))) - T(5 \times 1)$

$\mathbf{652} := 6 + F(T(5)) + T(C(2))$
$\mathbf{652} := 6 + Q(Q(5)) + F(C(2))$
$\mathbf{652} := F(F(6)) + Q(Q(5)) + F(Q(2))!$
$\mathbf{652} := T(6) + Q(Q(5)) + T(T(2))$
$\mathbf{652} := T(F(6)) + F(T(5)) + T(T(2))$
$\mathbf{652} := T(Q(6)) - T(5) + F(2)$

$\mathbf{653} := C(F(6)) + 5! + F(C(F(3)))$
$\mathbf{653} := C(F(6)) + 5! + T(T(3))$
$\mathbf{653} := -F(6) + Q(Q(5)) + Q(3!)$
$\mathbf{653} := T(Q(6)) - T(5) + F(3)$
$\mathbf{653} := T(T(F(6))) - T(5) + F(3)$

$\mathbf{654} := 6! - T(-5 + Q(4))$

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$\mathbf{654} := 6! - T\left(T\left(5\right) - 4\right)$
$\mathbf{654} := 6 \times \left(C\left(5\right) - Q\left(4\right)\right)$
$\mathbf{654} := F\left(F\left(6\right)\right) + Q\left(Q\left(5\right)\right) + F\left(F\left(4\right)!\right)$
$\mathbf{654} := T\left(T\left(F\left(6\right)\right)\right) - T\left(5\right) + F\left(4\right)$

$\mathbf{655} := \left(6 + C\left(5\right)\right) \times 5$
$\mathbf{655} := 6 \times 5 + Q\left(Q\left(5\right)\right)$
$\mathbf{655} := T\left(-6 + T\left(5\right)\right) + F\left(T\left(5\right)\right)$

$\mathbf{656} := \left(1/5\right) \times 6! + C\left(F\left(6\right)\right)$
$\mathbf{656} := 6! - \sqrt{C\left(-5 + T\left(6\right)\right)}$
$\mathbf{656} := 6! - C\left(Q\left(5\right) - T\left(6\right)\right)$
$\mathbf{656} := 6 \times 5! - Q\left(F\left(6\right)\right)$
$\mathbf{656} := T\left(Q\left(6\right)\right) - T\left(Q\left(5\right) - T\left(6\right)\right)$
$\mathbf{656} := T\left(T\left(F\left(6\right)\right)\right) - T\left(\sqrt{-5 + T\left(6\right)}\right)$

$\mathbf{657} := C\left(T\left(\sqrt{T\left(6\right) - 5}\right)\right) - C\left(7\right)$
$\mathbf{657} := F\left(6\right) \times C\left(5\right) - C\left(7\right)$
$\mathbf{657} := T\left(Q\left(6\right)\right) - Q\left(T\left(-5 + 7\right)\right)$

$\mathbf{658} := C\left(F\left(6\right)\right) + C\left(5\right) + F\left(8\right)$
$\mathbf{658} := -F\left(6\right) + T\left(T\left(5\right) + F\left(8\right)\right)$
$\mathbf{658} := F\left(F\left(6\right)\right) + C\left(5\right) + C\left(8\right)$
$\mathbf{658} := T\left(6\right) + C\left(5\right) + C\left(8\right)$
$\mathbf{658} := T\left(T\left(6\right) + T\left(5\right)\right) - 8$

$\mathbf{659} := 6! - Q\left(5\right) - Q\left(\left(\sqrt{9}\right)!\right)$
$\mathbf{659} := 6! - Q\left(5\right) - Q\left(T\left(\sqrt{9}\right)\right)$
$\mathbf{659} := C\left(F\left(6\right)\right) + 5! + C\left(\sqrt{9}\right)$
$\mathbf{659} := Q\left(6\right) + Q\left(Q\left(5\right)\right) - F\left(\sqrt{9}\right)$
$\mathbf{659} := Q\left(F\left(6\right)\right) + T\left(Q\left(5\right) + 9\right)$
$\mathbf{659} := T\left(T\left(F\left(6\right)\right)\right) - \sqrt{T\left(5\right) + F\left(9\right)}$

$\mathbf{660} := 6! - 60$
$\mathbf{660} := T\left(Q\left(6\right)\right) - 6 + 0$
$\mathbf{660} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 0$

$\mathbf{661} := Q\left(6\right) + Q\left(Q\left(6 - 1\right)\right)$
$\mathbf{661} := T\left(Q\left(6\right)\right) - 6 + 1$
$\mathbf{661} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 1$

$\mathbf{662} := 6! + 6 - Q\left(C\left(2\right)\right)$
$\mathbf{662} := 6! - Q\left(F\left(6\right)\right) + F\left(Q\left(2\right)\right)!$
$\mathbf{662} := 6 + 6! - Q\left(C\left(2\right)\right)$
$\mathbf{662} := T\left(6 \times 6\right) - Q\left(2\right)$
$\mathbf{662} := T\left(Q\left(6\right)\right) - 6 + 2$
$\mathbf{662} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 2$

$\mathbf{663} := 6! - F\left(F\left(6\right)\right) - Q\left(3!\right)$
$\mathbf{663} := -66 + C\left(Q\left(3\right)\right)$
$\mathbf{663} := T\left(6 \times 6\right) - 3$
$\mathbf{663} := T\left(Q\left(6\right)\right) - 6 + 3$
$\mathbf{663} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 3$

$\mathbf{664} := F\left(6\right)!/\left(-6!\right) + F\left(4\right)!!$
$\mathbf{664} := F\left(6\right)!/Q\left(F\left(6\right)\right) + F\left(Q\left(F\left(4\right)\right)\right)$
$\mathbf{664} := F\left(6\right) + 6! - C\left(4\right)$
$\mathbf{664} := T\left(6 \times 6\right) - \sqrt{4}$
$\mathbf{664} := T\left(Q\left(6\right)\right) - 6 + 4$
$\mathbf{664} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 4$

$\mathbf{665} := 6! - T\left(T\left(\sqrt{T\left(6\right) - 5}\right)\right)$
$\mathbf{665} := Q\left(Q\left(6\right)\right) - 6 - Q\left(Q\left(5\right)\right)$

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$\mathbf{665} := T(Q(6)) - 6 + 5$
$\mathbf{665} := T(T(F(6))) - 6 + 5$

$\mathbf{666} := F(6)!/Q(F(6)) + Q(6)$
$\mathbf{666} := T\left(6 \times \sqrt{6 \times 6}\right)$
$\mathbf{666} := T(-6 + T(6) + T(6))$
$\mathbf{666} := T\left(C(6)/\sqrt{6 \times 6}\right)$
$\mathbf{666} := T(Q(6)) - 6 + 6$
$\mathbf{666} := T(Q(6 - 6 + 6))$
$\mathbf{666} := T(T(F(6))) - 6 + 6$

$\mathbf{667} := Q(-6 + Q(6)) - F(F(7))$
$\mathbf{667} := T(Q(6)) - 6 + 7$
$\mathbf{667} := T(T(F(6))) - 6 + 7$

$\mathbf{668} := T(Q(6)) - 6 + 8$
$\mathbf{668} := T(T(F(6))) - 6 + 8$

$\mathbf{669} := 6! - 6 - T(9)$
$\mathbf{669} := F(F(6)) + C(6) \times \sqrt{9}$
$\mathbf{669} := F(F(6)) + F(6) \times Q(9)$
$\mathbf{669} := T(6 \times 6) + \sqrt{9}$
$\mathbf{669} := T(Q(6)) - 6 + 9$
$\mathbf{669} := T(T(F(6))) - 6 + 9$

$\mathbf{670} := 6! - Q(7) - 0!$

$\mathbf{671} := 6! - Q(7 \times 1)$

$\mathbf{672} := (6 \times 7) \times Q(Q(2))$
$\mathbf{672} := (T(T(6)) - 7) \times T(2)$
$\mathbf{672} := 6! - Q(7) + F(2)$
$\mathbf{672} := 6 \times T(7) \times Q(2)$
$\mathbf{672} := 6 + T(T(7) + C(2))$
$\mathbf{672} := F(6) \times T(7) \times T(2)$

$\mathbf{673} := 6! - Q(7) + F(3)$
$\mathbf{673} := T(T(6)) + T(T(7)) + Q(T(3))$
$\mathbf{673} := T(T(F(6))) + F(7) - T(3)$

$\mathbf{674} := (-6 + C(7)) \times \sqrt{4}$
$\mathbf{674} := 6! - Q(7) + F(4)$
$\mathbf{674} := 6! - Q(7) + T\left(\sqrt{4}\right)$
$\mathbf{674} := F(6) + T(T(F(7)) - F(T(4)))$

$\mathbf{675} := C(F(6) + 7)/5$
$\mathbf{675} := T(Q(6)) + Q(T(7 - 5))$

$\mathbf{676} := Q(6! - T(7) - T(Q(6)))$
$\mathbf{676} := Q(6 + T(7) - F(6))$
$\mathbf{676} := Q(F(F(6)) + F(7) - F(6))$

$\mathbf{677} := C(6) - Q(F(7)) + T\left(\sqrt{T(Q(7))}\right)$

$\mathbf{678} := -6! + F(F(7)) \times \sqrt{T(8)}$
$\mathbf{678} := 6! - 7 \times \sqrt{T(8)}$
$\mathbf{678} := 6 \times (Q(7) + Q(8))$

$\mathbf{679} := -\sqrt{-6! + Q(Q(7))} + \left(\sqrt{9}\right)!!$
$\mathbf{679} := 6! - 7 - F(9)$
$\mathbf{679} := T(Q(6)) + 7 + T\left(\sqrt{9}\right)$
$\mathbf{679} := T(T(F(6))) + 7 + T\left(\sqrt{9}\right)$

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$\mathbf{681} := C(F(6)) + Q(F(8-1))$
$\mathbf{681} := T(Q(6)) + T\left(\sqrt{T(8)} - 1\right)$
$\mathbf{681} := T(T(F(6))) + T\left(\sqrt{T(8)} - 1\right)$

$\mathbf{682} := 6! - T(8) - 2$
$\mathbf{682} := 6 + Q(-8 + F(Q(F(Q(2)))))$
$\mathbf{682} := -T(6) + T(T(8) + F(2))$

$\mathbf{683} := 6! - F(8) - Q(Q(F(3)))$
$\mathbf{683} := 6! - Q(8) + C(3)$
$\mathbf{683} := 6! - T(8) - F(F(3))$
$\mathbf{683} := C(F(6)) + T(T(8)/F(3))$
$\mathbf{683} := T(Q(6)) + 8 + Q(3)$

$\mathbf{684} := \sqrt{(6! - T(8))^{\sqrt{4}}}$
$\mathbf{684} := 6! - Q\left(8 - \sqrt{4}\right)$
$\mathbf{684} := -6 + T(T(8)) + 4!$
$\mathbf{684} := F(6) + T(T(8)) + T(4)$
$\mathbf{684} := Q(6) \times \left(F(8) - \sqrt{4}\right)$
$\mathbf{684} := T(6) + T(T(8)) - T\left(\sqrt{4}\right)$
$\mathbf{684} := T(F(6)) \times \left(F(8) - \sqrt{4}\right)$
$\mathbf{684} := T(F(6)) \times (-T(8) + F(T(4)))$

$\mathbf{685} := -6 + T(T(8)) + Q(5)$

$\mathbf{686} := 6!/T(8) + T(Q(6))$
$\mathbf{686} := 6!/T(8) + T(T(F(6)))$
$\mathbf{686} := Q(Q(6)) - F(F(8) - 6)$
$\mathbf{686} := Q(Q(6)) - F(T(8) - T(6))$

$\mathbf{687} := 6 + C(8) + Q(F(7))$
$\mathbf{687} := T(6) + T(8 + T(7))$

$\mathbf{688} := 6! - \sqrt{C(8) + C(8)}$

$\mathbf{689} := Q(F(6)) + Q\left(Q\left(8 - \sqrt{9}\right)\right)$
$\mathbf{689} := T(6) + T(T(8)) + F\left(\sqrt{9}\right)$

$\mathbf{690} := T(Q(6)) + \left(\sqrt{9} + 0!\right)!$
$\mathbf{690} := T(T(F(6))) + \left(\sqrt{9} + 0!\right)!$

$\mathbf{691} := T(Q(6)) + Q\left(T\left(\sqrt{9}\right) - 1\right)$

$\mathbf{692} := -6! + Q(F(9)) + Q(Q(Q(2)))$
$\mathbf{692} := 6! - C\left(\sqrt{9}\right) - F(2)$
$\mathbf{692} := 6! - T(9-2)$
$\mathbf{692} := C(6) - Q\left(\left(\sqrt{9}\right)!\right) + C(C(2))$
$\mathbf{692} := -Q(6) + C(9) - F(2)$
$\mathbf{692} := T(T(6)) \times \sqrt{9} - F(2)$
$\mathbf{692} := T(T(F(6))) + F(9) - F(T(T(2)))$

$\mathbf{693} := 6! - 9 \times 3$
$\mathbf{693} := F(F(6)) \times (F(9) - F(F(3)))$
$\mathbf{693} := -Q(6) + 9^3$
$\mathbf{693} := -T(F(6)) + 9^3$
$\mathbf{693} := T(T(6)) \times 9/3$

$\mathbf{694} := 6! - F\left(\sqrt{9}\right) - 4!$
$\mathbf{694} := 6! - F(9) + \sqrt{C(4)}$
$\mathbf{694} := 6! - F(9) + F((F(4))!)$
$\mathbf{694} := Q(F(6)) + T(T(9) - T(4))$
$\mathbf{694} := T(Q(6)) + T\left(\sqrt{9} + 4\right)$

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$\mathbf{694} := T(T(6)) \times \sqrt{9} + F\left(\sqrt{4}\right)$
$\mathbf{694} := -T(T(6)) \times T\left(\sqrt{9}\right) + T(C(4))$
$\mathbf{694} := T(T(F(6))) + F(9) - T(F(4))$

$\mathbf{695} := (-6+9)!! - Q(5)$
$\mathbf{695} := Q(6) + F(9) + Q(Q(5))$
$\mathbf{695} := T(-6+9)! - Q(5)$
$\mathbf{695} := T(6 + F(9)) - C(5)$
$\mathbf{695} := T(Q(6)) + F(9) - 5$
$\mathbf{695} := T(T(F(6))) + F(9) - 5$

$\mathbf{696} := (6 + Q(9)) \times F(6)$
$\mathbf{696} := -(Q(6)/9)! + 6!$
$\mathbf{696} := 6! - \sqrt{9} \times F(6)$
$\mathbf{696} := 6! - T(9) + T(6)$
$\mathbf{696} := -C(6)/9 + 6!$
$\mathbf{696} := T(T(6)) + T(9 + T(6))$

$\mathbf{697} := -6 + T(9 + T(7))$
$\mathbf{697} := C(6) \times \sqrt{9} + Q(7)$
$\mathbf{697} := F(6) \times Q(9) + Q(7)$
$\mathbf{697} := Q(T(6)) + Q(9+7)$

$\mathbf{698} := 6! - F\left(F\left(\sqrt{9}\right)\right) - F(8)$
$\mathbf{698} := Q(F(6))/F\left(\sqrt{9}\right) + T(T(8))$
$\mathbf{698} := T(T(6)) - T(9) + C(8)$

$\mathbf{699} := 6! - \sqrt{C(9)} + \left(\sqrt{9}\right)!$
$\mathbf{699} := -F(F(6)) + \left(9 - \sqrt{9}\right)!$
$\mathbf{699} := F\left(F\left(F(F(6))/\sqrt{9}\right)\right) \times \sqrt{9}$
$\mathbf{699} := -Q(6) + C(9) + \left(\sqrt{9}\right)!$
$\mathbf{699} := -T(6) + \left(9 - \sqrt{9}\right)!$
$\mathbf{699} := -T(6) - 9 + C(9)$
$\mathbf{699} := T(T(6)) \times \sqrt{9} + T\left(\sqrt{9}\right)$

$\mathbf{700} := 7 \times Q(T(Q(0! + 0!)))$

$\mathbf{701} := \sqrt{T(Q(7))} + T(Q(T(T(1+0!))))$
$\mathbf{701} := \sqrt{T(Q(7))} + T(T(C(1+0!)))$

$\mathbf{702} := (F(F(7)) + 0!) \times F(Q(2))$
$\mathbf{702} := (F(F(7)) + 0!) \times T(2)$
$\mathbf{702} := Q(T(7) - 0!) - C(T(2))$
$\mathbf{702} := T(F(7) - 0!) \times Q(T(2))$
$\mathbf{702} := T(Q(7 - 0!)) + Q(T(T(2)))$
$\mathbf{702} := T(T(7 + 0!)) + T(C(2))$

$\mathbf{703} := T(F(7) + (0! + 3)!)$
$\mathbf{703} := T(T(7) + Q(03))$

$\mathbf{704} := (7 - 0!)! - Q(4)$

$\mathbf{705} := (7 - 0!)! - T(5)$

$\mathbf{706} := -F(7) - 0! + 6!$

$\mathbf{707} := (7 - 0!)! - F(7)$

$\mathbf{708} := -F(7) + 0! + \left(\sqrt{T(8)}\right)!$
$\mathbf{708} := Q(F(7) + 0!) + C(8)$
$\mathbf{708} := Q(T(7) - 0!) - F(8)$
$\mathbf{708} := Q(T(7) - 0!) - T\left(\sqrt{T(8)}\right)$

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$\mathbf{711} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + Q\left(Q\left(T\left(1+1\right)\right)\right)$

$\mathbf{712} := -7 - 1 + \left(T\left(T\left(2\right)\right)\right)!$
$\mathbf{712} := (7-1)! - C\left(2\right)$
$\mathbf{712} := (7-1)! - F\left(F\left(Q\left(2\right)\right)!\right)$
$\mathbf{712} := (7-1)! - F\left(T\left(T\left(2\right)\right)\right)$

$\mathbf{713} := -7 + \left(T\left(1\times 3\right)\right)!$
$\mathbf{713} := -7 + 1\times 3!!$
$\mathbf{713} := T\left(Q\left(7\right)\right) - C\left(-1 + Q\left(3\right)\right)$
$\mathbf{713} := T\left(T\left(F\left(7\right)\right)+1\right)/T\left(3\right)$

$\mathbf{714} := (7-1)! - \left(F\left(4\right)\right)!$
$\mathbf{714} := (7-1)! - T\left(F\left(4\right)\right)$
$\mathbf{714} := (7-1)! - T\left(T\left(\sqrt{4}\right)\right)$
$\mathbf{714} := T\left(Q\left(7\right)\right) + 1 - \sqrt{C\left(C\left(4\right)\right)}$

$\mathbf{715} := (7-1)! - 5$
$\mathbf{715} := T\left(F\left(7\right)+1\right) + F\left(T\left(5\right)\right)$

$\mathbf{716} := -F\left(7\right) + C\left(1 + F\left(6\right)\right)$
$\mathbf{716} := F\left(7\right) + T\left(1 + Q\left(6\right)\right)$
$\mathbf{716} := F\left(7\right) + T\left(1 + T\left(F\left(6\right)\right)\right)$
$\mathbf{716} := Q\left(7\right) + 1 + T\left(Q\left(6\right)\right)$

$\mathbf{719} := (7-1)! - F\left(F\left(\sqrt{9}\right)\right)$
$\mathbf{719} := C\left(F\left(7\right)+1\right) - Q\left(T\left(9\right)\right)$

$\mathbf{720} := \left(\sqrt{7+2}\right)!! + 0$
$\mathbf{720} := (7 - (2\times 0)!)!$
$\mathbf{720} := (7 - F\left(2\right))! + 0$
$\mathbf{720} := (7 - Q\left(2\right))!! + 0$
$\mathbf{720} := 7!/\left(C\left(2\right) - 0!\right)$
$\mathbf{720} := T\left(\sqrt{7+2}\right)! + 0$

$\mathbf{721} := \left(\sqrt{7+2}\right)!! + 1$
$\mathbf{721} := (7 - F\left(2\right))! + 1$
$\mathbf{721} := (7 - Q\left(2\right))!! + 1$
$\mathbf{721} := C\left(7\right) + T\left(C\left(2+1\right)\right)$
$\mathbf{721} := T\left(\sqrt{7+2}\right)! + 1$
$\mathbf{721} := T\left(F\left(7\right)\right) + T\left(T\left(F\left(T\left(T\left(2\right)\right)\right)\right) - 1\right)$

$\mathbf{722} := \left(\sqrt{7+2}\right)!! + 2$
$\mathbf{722} := (7 - F\left(2\right))! + 2$
$\mathbf{722} := (7 - Q\left(2\right))!! + 2$
$\mathbf{722} := 7!/Q\left(2\right)! + C\left(C\left(2\right)\right)$
$\mathbf{722} := -7 + C\left(C\left(2\right) + F\left(2\right)\right)$
$\mathbf{722} := -7 + C\left(T\left(2\right)^2\right)$
$\mathbf{722} := -7 + Q\left(T\left(2\right)^{T(2)}\right)$
$\mathbf{722} := -7 + T\left(2\right)^{T(T(2))}$
$\mathbf{722} := T\left(\sqrt{7+2}\right)! + 2$

$\mathbf{723} := \left(\sqrt{7+2}\right)!! + 3$
$\mathbf{723} := (7 - F\left(2\right))! + 3$
$\mathbf{723} := (7 - Q\left(2\right))!! + 3$
$\mathbf{723} := \left(F\left(F\left(7\right)\right) + F\left(T\left(T\left(2\right)\right)\right)\right)\times 3$
$\mathbf{723} := \sqrt{7+2} + \left(T\left(3\right)\right)!$
$\mathbf{723} := \sqrt{7+2} + 3!!$
$\mathbf{723} := 7 - Q\left(2\right) + 3!!$
$\mathbf{723} := C\left(7+2\right) - 3!$
$\mathbf{723} := C\left(7+2\right) - T\left(3\right)$

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$\mathbf{723} := F(7 - T(2)) + (T(3))!$

$\mathbf{723} := T\left(\sqrt{7+2}\right)! + 3$

$\mathbf{724} := \left(\sqrt{7+2}\right)!! + 4$

$\mathbf{724} := (7 - F(2))! + 4$

$\mathbf{724} := (7 - Q(2))!! + 4$

$\mathbf{724} := Q(F(7)) - F(C(2)) + Q(4!)$

$\mathbf{724} := Q(T(7)) + Q(2) - C(4)$

$\mathbf{724} := Q(T(7) + Q(2)) - T(4!)$

$\mathbf{724} := T\left(\sqrt{7+2}\right)! + 4$

$\mathbf{724} := T(7) + (T(T(2)))! - 4!$

$\mathbf{724} := T(F(7)) \times F(T(T(2))) - 4$

$\mathbf{725} := \left(\sqrt{7+2}\right)!! + 5$

$\mathbf{725} := (7 - F(2))! + 5$

$\mathbf{725} := (7 - Q(2))!! + 5$

$\mathbf{725} := (T(7) + F(2)) \times Q(5)$

$\mathbf{725} := Q(7) + Q(F(2) + Q(5))$

$\mathbf{725} := Q(7 + T(2)) + Q(Q(5))$

$\mathbf{725} := T\left(\sqrt{7+2}\right)! + 5$

$\mathbf{725} := T(Q(7)) - Q(2) \times C(5)$

$\mathbf{726} := \left(\sqrt{7+2}\right)!! + 6$

$\mathbf{726} := \left(\sqrt{7+2}\right)! + 6!$

$\mathbf{726} := (7 - F(2))! + 6$

$\mathbf{726} := (7 - Q(2))!! + 6$

$\mathbf{726} := (7 - Q(2))! + 6!$

$\mathbf{726} := Q(7 + Q(2)) \times 6$

$\mathbf{726} := 7 - F(2) + 6!$

$\mathbf{726} := T\left(\sqrt{7+2}\right)! + 6$

$\mathbf{726} := T\left(\sqrt{7+2}\right) + 6!$

$\mathbf{727} := \left(\sqrt{7+2}\right)!! + 7$

$\mathbf{727} := (7 - F(2))! + 7$

$\mathbf{727} := (7 - Q(2))!! + 7$

$\mathbf{727} := 7 + \left(\sqrt{2+7}\right)!!$

$\mathbf{727} := 7 + T(T(T(T(2)))/7)!$

$\mathbf{727} := F(F(7)) \times T(2) + T(7)$

$\mathbf{727} := Q(T(7)) - C(2) - Q(7)$

$\mathbf{727} := T\left(\sqrt{7+2}\right)! + 7$

$\mathbf{728} := \left(\sqrt{7+2}\right)!! + 8$

$\mathbf{728} := (7 - F(2))! + 8$

$\mathbf{728} := (7 - Q(2))!! + 8$

$\mathbf{728} := T(7 + T(T(2))) \times 8$

$\mathbf{728} := T(F(7)) \times F(2) \times 8$

$\mathbf{728} := C\left(\left(\sqrt{7+2}\right)!\right) + C(8)$

$\mathbf{728} := -F(7) \times (C(2) - Q(8))$

$\mathbf{728} := Q(T(7)) + C(2) - Q(8)$

$\mathbf{728} := T\left(\sqrt{7+2}\right)! + 8$

$\mathbf{728} := -T(7) \times (T(Q(2)) - T(8))$

$\mathbf{728} := -T(7) + T(C(2)) + \left(\sqrt{T(8)}\right)!$

$\mathbf{729} := \left(\sqrt{7+2}\right)!! + 9$

$\mathbf{729} := (7+2) \times Q(9)$

$\mathbf{729} := (7+2)^{\sqrt{9}}$

$\mathbf{729} := (-7 + C(2)) \times C(9)$

$\mathbf{729} := (7 - F(2))! + 9$

$\mathbf{729} := (7 - Q(2))!! + 9$

$\mathbf{729} := T\left(\sqrt{7+2}\right)! + 9$

$\mathbf{729} := -T(F(7)) + T(T(T(2)) + F(9))$

$\mathbf{730} := C(7 + F(3)) + 0!$

$\mathbf{730} := Q(-7 + F(Q(3))) + 0!$

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$\mathbf{730} := Q\left(F\left(7\right)\right) + T\left(F\left(Q\left(3\right)\right) - 0!\right)$

$\mathbf{730} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + Q\left(Q\left(3\right) + 0!\right)$

$\mathbf{731} := T\left(7\right) + T\left(T\left(C\left(F\left(3\right)\right)\right) + 1\right)$

$\mathbf{731} := T\left(7\right) + T\left(T\left(F\left(T\left(3\right)\right)\right) + 1\right)$

$\mathbf{731} := T\left(T\left(7\right)\right) + T\left(Q\left(T\left(3\right) - 1\right)\right)$

$\mathbf{732} := \left(C\left(F\left(7\right)\right) - F\left(F\left(3\right)\right)\right) / F\left(Q\left(2\right)\right)$

$\mathbf{732} := \left(C\left(F\left(7\right)\right) - F\left(F\left(3\right)\right)\right) / T\left(2\right)$

$\mathbf{732} := \left(F\left(7\right) + T\left(T\left(T\left(3\right)\right)\right)\right) \times T\left(2\right)$

$\mathbf{732} := \left(T\left(7\right) + C\left(T\left(3\right)\right)\right) \times T\left(2\right)$

$\mathbf{732} := -7 + C\left(Q\left(3\right)\right) + T\left(Q\left(2\right)\right)$

$\mathbf{732} := 7 + C\left(Q\left(3\right)\right) - Q\left(2\right)$

$\mathbf{732} := F\left(7\right) + \left(T\left(3\right)\right)! - F\left(2\right)$

$\mathbf{732} := F\left(7\right) + 3!! - F\left(2\right)$

$\mathbf{732} := T\left(7\right) + T\left(3\right)! - Q\left(Q\left(2\right)\right)$

$\mathbf{733} := 7 + 3!! + 3!$

$\mathbf{733} := 7 + T\left(3\right) + \left(T\left(3\right)\right)!$

$\mathbf{733} := 7 - 3 + C\left(Q\left(3\right)\right)$

$\mathbf{733} := F\left(7\right) + \left(3 + 3\right)!$

$\mathbf{734} := 7 \times F\left(3\right) + F\left(4\right)!!$

$\mathbf{734} := 7 + C\left(Q\left(3\right)\right) - \sqrt{4}$

$\mathbf{734} := -7 + T\left(Q\left(T\left(3\right)\right) + \sqrt{4}\right)$

$\mathbf{734} := -7 + T\left(T\left(3\right)\right) + \left(T\left(T\left(\sqrt{4}\right)\right)\right)!$

$\mathbf{734} := F\left(7\right) + \left(T\left(3\right)\right)! + F\left(\sqrt{4}\right)$

$\mathbf{734} := -F\left(7\right) + 3!! + C\left(F\left(4\right)\right)$

$\mathbf{734} := F\left(7\right) + 3!! + F\left(\sqrt{4}\right)$

$\mathbf{734} := -F\left(7\right) + T\left(3\right)! + C\left(F\left(4\right)\right)$

$\mathbf{734} := T\left(F\left(7\right)\right) \times F\left(T\left(3\right)\right) + T\left(F\left(4\right)\right)$

$\mathbf{735} := 7 \times F\left(F\left(3!\right)\right) \times 5$

$\mathbf{735} := \left(T\left(7\right) + T\left(T\left(3\right)\right)\right) \times T\left(5\right)$

$\mathbf{735} := 7^{F(3)} \times T\left(5\right)$

$\mathbf{735} := F\left(F\left(7\right) + F\left(3\right)\right) + C\left(5\right)$

$\mathbf{735} := Q\left(7\right) \times 3 \times 5$

$\mathbf{736} := 7 + 3^{6}$

$\mathbf{737} := -7! + Q\left(Q\left(Q\left(3\right)\right)\right) - Q\left(T\left(7\right)\right)$

$\mathbf{737} := Q\left(T\left(7\right)\right) + F\left(3\right) - Q\left(7\right)$

$\mathbf{738} := \sqrt{T\left(Q\left(7\right)\right)} + T\left(T\left(Q\left(3\right)\right) - 8\right)$

$\mathbf{738} := Q\left(F\left(7\right)\right) \times 3 + T\left(F\left(8\right)\right)$

$\mathbf{738} := F\left(F\left(7\right)\right) + C\left(Q\left(F\left(3\right)\right)\right) + Q\left(F\left(8\right)\right)$

$\mathbf{738} := F\left(F\left(7\right)\right) + Q\left(F\left(3!\right)\right) + Q\left(F\left(8\right)\right)$

$\mathbf{739} := 7 + 3 + C\left(9\right)$

$\mathbf{739} := F\left(7\right) + 3!! + \left(\sqrt{9}\right)!$

$\mathbf{739} := T\left(7\right)^{F(3)} - T\left(9\right)$

$\mathbf{739} := T\left(7\right) + \left(T\left(3\right)\right)! - 9$

$\mathbf{739} := T\left(Q\left(7\right)\right) - T\left(3\right) \times Q\left(9\right)$

$\mathbf{740} := T\left(T\left(7\right) + T\left(4\right)\right) - 0!$

$\mathbf{741} := F\left(7\right) + C\left(Q\left(F\left(4\right)\right)\right) - 1$

$\mathbf{741} := T\left(F\left(7\right) + Q\left(4 + 1\right)\right)$

$\mathbf{741} := T\left(T\left(7\right) + T\left(4 \times 1\right)\right)$

$\mathbf{742} := F\left(7\right) + C\left(F\left(4\right)^{2}\right)$

$\mathbf{742} := F\left(7\right) + Q\left(F\left(4\right)^{T(2)}\right)$

$\mathbf{742} := Q\left(F\left(7\right)\right) + Q\left(4!\right) - F\left(Q\left(2\right)\right)$

$\mathbf{742} := Q\left(T\left(7\right)\right) - 42$

$\mathbf{742} := -T(7) + T(T(T(4)))/2$
$\mathbf{742} := T(7) - T\left(T\left(\sqrt{4}\right)\right) + (T(T(2)))!$
$\mathbf{742} := T(T(7)) + T(4!) + T(C(2))$
$\mathbf{742} := T(T(7) + T(4)) + F(2)$

$\mathbf{743} := 7 \times \sqrt{4} + C(Q(3))$
$\mathbf{743} := 7 + Q(4) + 3!!$
$\mathbf{743} := 7 + Q(4) + T(3)!$
$\mathbf{743} := C(7) + Q(T(4) \times F(3))$
$\mathbf{743} := C\left(C\left(\sqrt{T(7) - 4!}\right)\right) + T(T(T(3)))$
$\mathbf{743} := F(7) + T(4) + (T(3))!$
$\mathbf{743} := F(F(7)) - \sqrt{4} + C(C(F(3)))$
$\mathbf{743} := T(T(7) + T(4)) + F(3)$

$\mathbf{744} := (7 + 4!) \times 4!$
$\mathbf{744} := (T(7) + F(4)) \times 4!$
$\mathbf{744} := T(T(7) + T(4)) + F(4)$
$\mathbf{744} := T(T(7) + T(4)) + T\left(\sqrt{4}\right)$

$\mathbf{745} := F(F(7)) + C(F(4) + 5)$
$\mathbf{745} := Q(Q(7) - 4!) + 5!$
$\mathbf{745} := Q(T(7)) - C(4) + Q(5)$
$\mathbf{745} := T(Q(7)) - 4 \times 5!$

$\mathbf{746} := F(7) \times \sqrt{4} + 6!$
$\mathbf{746} := F(7) \times F(F(4)) + 6!$
$\mathbf{746} := T(7) - \sqrt{4} + 6!$

$\mathbf{747} := -7 + F(Q(4)) - F(F(7))$
$\mathbf{747} := Q(T(7)) - \sqrt{4} - \sqrt{T(Q(7))}$
$\mathbf{747} := Q(T(7)) - 4! - F(7)$
$\mathbf{747} := T(T(7)) - \sqrt{4} + C(7)$

$\mathbf{748} := 7!/4 - C(8)$
$\mathbf{748} := 7 + F(4)!! + F(8)$
$\mathbf{748} := Q(7) + F(4)!! - F(8)$
$\mathbf{748} := Q(7 \times 4) - T(8)$
$\mathbf{748} := T(7)^{\sqrt{4}} - T(8)$
$\mathbf{748} := T(7)^{F(F(4))} - T(8)$
$\mathbf{748} := T(7) + T(4!/8)!$

$\mathbf{749} := -7 + C(F(4)) + C(9)$
$\mathbf{749} := F(7) \times F(T(4)) + F(9)$
$\mathbf{749} := Q(F(7)) - Q(4!) + Q(F(9))$
$\mathbf{749} := Q(T(7)) - \sqrt{T(49)}$
$\mathbf{749} := T(T(7)) + C\left(\sqrt{49}\right)$
$\mathbf{749} := -T(T(7)) + T(T(4)) \times T\left(T\left(\sqrt{9}\right)\right)$

$\mathbf{750} := Q(T(7)) - F(Q(F(5 - 0!)))$
$\mathbf{750} := T\left(\sqrt{T(Q(7))}\right) + 5! + 0$

$\mathbf{751} := T\left(\sqrt{T(Q(7))}\right) + 5! + 1$

$\mathbf{752} := \times 7!/5 - Q(Q(Q(2)))$
$\mathbf{752} := Q(T(7)) - 5 - C(T(2))$
$\mathbf{752} := T\left(\sqrt{T(Q(7))}\right) + 5! + 2$
$\mathbf{752} := -T(7) + T(T(5) + Q(2)!)$
$\mathbf{752} := T(F(7)) + Q(Q(5)) + T(C(2))$
$\mathbf{752} := T(F(7)) - 5 + T(T(C(2)))$
$\mathbf{752} := T(F(7)) - 5 + T(T(F(T(T(2)))))$

$\mathbf{753} := Q(7) - Q(5) + C(Q(3))$
$\mathbf{753} := Q(T(7)) - Q(5) - T(3)$
$\mathbf{753} := T\left(\sqrt{T(Q(7))}\right) + 5! + 3$

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$\mathbf{753} := T(7) + 5 + (T(3))!$

$\mathbf{754} := -(F(F(7)) - F(T(5))) \times \sqrt{4}$
$\mathbf{754} := -(F(F(7)) - F(T(5))) \times F(F(4))$
$\mathbf{754} := -F(F(7)) + F\left(-5 + F\left(\sqrt{C(4)}\right)\right)$
$\mathbf{754} := -F(F(7)) + F(-5 + F(F((F(4))!)))$
$\mathbf{754} := -F(F(7)) + F(Q(5) - Q(F(4)))$
$\mathbf{754} := Q(T(7)) - \times 5!/4$
$\mathbf{754} := T\left(\sqrt{T(Q(7))}\right) + 5! + 4$

$\mathbf{755} := \sqrt{T(Q(7))} + T(T(5)/5)!$
$\mathbf{755} := 7 \times C(5) - 5!$
$\mathbf{755} := T\left(\sqrt{T(Q(7))}\right) + 5! + 5$
$\mathbf{755} := T(7 \times 5) + C(5)$
$\mathbf{755} := T(F(7)) \times T(5) - F(T(5))$

$\mathbf{756} := F(-7 + T(5)) \times T(F(6))$
$\mathbf{756} := F(C(7 - 5)) \times Q(6)$
$\mathbf{756} := F(F(7) - 5) \times Q(6)$
$\mathbf{756} := Q(7) \times T(5) + T(6)$
$\mathbf{756} := T\left(\sqrt{T(Q(7))}\right) + 5! + 6$
$\mathbf{756} := T(7)!/(5 + T(6))!$
$\mathbf{756} := T(-7 + T(5)) \times T(6)$

$\mathbf{757} := T\left(\sqrt{T(Q(7))}\right) + 5! + 7$
$\mathbf{757} := T(F(7)) + T(T(-5 + F(7)))$
$\mathbf{757} := T(Q(7)) - C(5) - C(7)$
$\mathbf{757} := T(Q(7) - 5) - F(F(7))$

$\mathbf{758} := F(F(7)) + Q(5) \times F(8)$
$\mathbf{758} := T\left(\sqrt{T(Q(7))}\right) + 5! + 8$

$\mathbf{758} := -T(7) + 5! + T(T(8))$
$\mathbf{758} := -T(7) + T(T(5)) + T(T(8))$
$\mathbf{759} := 7 \times 5! - Q(9)$

$\mathbf{759} := T\left(\sqrt{T(Q(7))}\right) + 5! + 9$
$\mathbf{759} := T(7 + T(5)) \times \sqrt{9}$
$\mathbf{759} := -T(T(7) - 5) + T(T(9))$

$\mathbf{760} := Q(T(7)) - Q\left(F\left(\sqrt{F(6) + 0!}\right)\right)!$

$\mathbf{762} := (C(7) - C(6)) \times T(T(2))$
$\mathbf{762} := (F(F(7)) + F(F(6))) \times F(Q(2))$
$\mathbf{762} := (T(F(7)) + T(F(6))) \times T(T(2))$
$\mathbf{762} := 7 \times 6 + (T(T(2)))!$
$\mathbf{762} := F(F(7)) + Q(T(6) + 2)$
$\mathbf{762} := Q(T(7)) - 6 - Q(Q(2))$

$\mathbf{763} := 7 + T(F(6)) \times T(T(3))$
$\mathbf{763} := 7 + T(F(6)) + (T(3))!$
$\mathbf{763} := Q(7) + 6! - 3!$
$\mathbf{763} := Q(7) + 6! - T(3)$
$\mathbf{763} := T(T(7)) - T(6) + T(C(3))$

$\mathbf{764} := \sqrt{C(7) + C(T(6))} + T\left(T\left(\sqrt{C(4)}\right)\right)$
$\mathbf{764} := 7 \times Q(6) + \sqrt{C(C(4))}$
$\mathbf{764} := -7 - C(6) + F(Q(4))$
$\mathbf{764} := F(F(7)) + T(T(6)) + T(4!)$
$\mathbf{764} := -Q(7) \times F(6) + Q(F(Q(F(4))))$
$\mathbf{764} := T(7) + 6! + Q(4)$
$\mathbf{764} := T(F(7)) \times F(6) + T(F(T(F(4))))$

$\mathbf{765} := T(F(F(7)) - C(6)) \times 5$
$\mathbf{765} := 7!/Q(6) + Q(Q(5))$

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$\mathbf{765} := Q\left(T\left(7\right)\right) + \left(6 - Q\left(5\right)\right)$

$\mathbf{766} := F\left(F\left(7\right)\right) + F\left(F\left(6\right)\right) + C\left(F\left(6\right)\right)$
$\mathbf{766} := F\left(F\left(7\right)\right) + T\left(6\right) + C\left(F\left(6\right)\right)$
$\mathbf{766} := T\left(Q\left(F\left(7\right) - F\left(6\right)\right)\right) + Q\left(T\left(6\right)\right)$

$\mathbf{767} := T\left(T\left(7\right)\right) + Q\left(6 + F\left(7\right)\right)$

$\mathbf{768} := F\left(7\right) \times Q\left(F\left(6\right)\right) - Q\left(8\right)$
$\mathbf{768} := Q\left(T\left(7\right)\right) - F\left(6\right) - 8$
$\mathbf{768} := Q\left(T\left(7\right)\right) - Q\left(Q\left(-6 + 8\right)\right)$

$\mathbf{769} := \sqrt{\left(Q\left(7\right) + 6!\right)^{F\left(\sqrt{9}\right)}}$
$\mathbf{769} := Q\left(7\right) + \left(-6 + 9\right)!!$
$\mathbf{769} := Q\left(T\left(7\right)\right) - 6 - 9$
$\mathbf{769} := T\left(7\right) + T\left(6\right) + T\left(\sqrt{9}\right)!$
$\mathbf{769} := T\left(7\right) + T\left(T\left(F\left(6\right)\right) + F\left(\sqrt{9}\right)\right)$

$\mathbf{770} := Q\left(T\left(7\right)\right) - F\left(7\right) - 0!$
$\mathbf{770} := -T\left(T\left(7\right)\right) + T\left(Q\left(7\right) - 0!\right)$

$\mathbf{771} := -F\left(7\right) + Q\left(T\left(7 \times 1\right)\right)$

$\mathbf{772} := Q\left(7 + 7\right) + Q\left(\left(Q\left(2\right)\right)!\right)$
$\mathbf{772} := Q\left(T\left(7\right)\right) - F\left(7\right) + F\left(2\right)$
$\mathbf{772} := -T\left(7\right) + Q\left(T\left(7\right)\right) + Q\left(Q\left(2\right)\right)$

$\mathbf{773} := -7 + T\left(\sqrt{-7! + Q\left(Q\left(Q\left(3\right)\right)\right)}\right)$
$\mathbf{773} := -7 + T\left(3 \times F\left(7\right)\right)$

$\mathbf{774} := T\left(7\right) \times T\left(7\right) - T\left(4\right)$

$\mathbf{775} := -F\left(F\left(7\right)\right) + 7!/5$
$\mathbf{775} := Q\left(T\left(7\right)\right) - Q\left(T\left(7 - 5\right)\right)$

$\mathbf{776} := Q\left(7\right) + 7 + 6!$
$\mathbf{776} := T\left(7\right) \times T\left(7\right) - F\left(6\right)$
$\mathbf{776} := T\left(7\right) + T\left(7\right) + 6!$

$\mathbf{777} := T\left(7\right) \times T\left(7\right) - 7$

$\mathbf{778} := C\left(7\right) + T\left(-7 + T\left(8\right)\right)$
$\mathbf{778} := Q\left(T\left(7\right)\right) - \sqrt{T\left(7\right) + 8}$
$\mathbf{778} := T\left(7\right) \times T\left(7\right) - \sqrt{T\left(8\right)}$

$\mathbf{779} := F\left(F\left(7\right)\right) + T\left(F\left(7\right)\right) \times T\left(\sqrt{9}\right)$
$\mathbf{779} := Q\left(F\left(7\right)\right) + F\left(Q\left(7\right) - F\left(9\right)\right)$
$\mathbf{779} := Q\left(T\left(7\right)\right) - \sqrt{T\left(7\right) - \sqrt{9}}$

$\mathbf{780} := T\left(\sqrt{-7! + Q\left(Q\left(8 + 0!\right)\right)}\right)$
$\mathbf{780} := T\left(F\left(7\right) \times \sqrt{8 + 0!}\right)$

$\mathbf{781} := Q\left(T\left(7\right)\right) - \sqrt{8 + 1}$

$\mathbf{782} := Q\left(Q\left(7\right) - F\left(8\right)\right) - 2$
$\mathbf{782} := Q\left(T\left(7\right)\right) - \sqrt{8/2}$

$\mathbf{783} := \left(-7 + T\left(8\right)\right) \times C\left(3\right)$
$\mathbf{783} := Q\left(Q\left(7\right) - F\left(8\right)\right) - F\left(F\left(3\right)\right)$
$\mathbf{783} := Q\left(T\left(7\right)\right) + 8 - Q\left(3\right)$
$\mathbf{783} := T\left(T\left(7\right)\right) + F\left(8 + T\left(3\right)\right)$

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$\mathbf{784} := (7 + F(8))^{\sqrt{4}}$
$\mathbf{784} := (7 + F(8))^{F(F(4))}$
$\mathbf{784} := Q(7 \times (8 - 4))$
$\mathbf{784} := T(7)^{(8/4)}$

$\mathbf{785} := Q(T(7)) + \sqrt{T(8)} - 5$
$\mathbf{785} := Q(T(7)) + F(F(8 - 5))$
$\mathbf{785} := T(T(7)) - T(F(8)) + F(T(5))$

$\mathbf{786} := Q(T(7)) + 8 - 6$
$\mathbf{786} := T(7 + 8) + T(T(F(6)))$

$\mathbf{787} := Q(T(7)) + F(8)/7$
$\mathbf{787} := Q(T(7)) + T\left(\sqrt{T(8)}\right)/7$

$\mathbf{788} := Q(T(7)) + \sqrt{8 + 8}$
$\mathbf{788} := T(-F(7) + T(8)) + C(8)$

$\mathbf{789} := Q(T(7)) + 8 - \sqrt{9}$

$\mathbf{790} := Q(T(7)) + T\left(\sqrt{9}\right) + 0$

$\mathbf{791} := 7 + Q\left(C\left(\sqrt{9}\right) + 1\right)$
$\mathbf{791} := Q(T(7)) + T\left(\sqrt{9}\right) + 1$

$\mathbf{792} := (7 + Q(9)) \times Q(T(2))$
$\mathbf{792} := -7! + C(9 \times 2)$
$\mathbf{792} := -Q(F(7)) + Q(F(9) - F(Q(2)))$
$\mathbf{792} := Q(T(7)) + 9 - F(2)$
$\mathbf{792} := Q(T(7)) + T\left(\sqrt{9}\right) + 2$
$\mathbf{792} := -T(7) + T(F(9) + T(T(2)))$

$\mathbf{793} := \sqrt{C(7 + 9)} + C(Q(3))$
$\mathbf{793} := F(7) \times (F(9) + C(3))$
$\mathbf{793} := F(7) + T(T(9) - T(3))$
$\mathbf{793} := Q(-7 + F(9)) + Q(F(3!))$
$\mathbf{793} := Q(T(7)) + Q(9/3)$
$\mathbf{793} := Q(T(7)) + T\left(\sqrt{9}\right) + 3$
$\mathbf{793} := T(7) + T(9) + (T(3))!$

$\mathbf{794} := (T(T(7)) - 9) \times \sqrt{4}$
$\mathbf{794} := F(F(7)) + T(9 + 4!)$
$\mathbf{794} := Q(7) + C(9) + Q(4)$
$\mathbf{794} := Q(F(7)) + Q(Q(9 - 4))$
$\mathbf{794} := Q(T(7)) + T\left(\sqrt{9}\right) + 4$
$\mathbf{794} := T(F(7)) + T(F(9) + F(4))$

$\mathbf{795} := -(T(7) - Q(9)) \times T(5)$
$\mathbf{795} := Q(F(7)) + F\left(F\left(\sqrt{9}\right)\right) + Q(Q(5))$
$\mathbf{795} := Q(T(7)) + T\left(\sqrt{9}\right) + 5$
$\mathbf{795} := T\left(F(7) \times \sqrt{9}\right) + T(5)$

$\mathbf{796} := F(7) \times Q\left(F\left(\left(\sqrt{9}\right)!\right)\right) - Q(6)$
$\mathbf{796} := -F(F(7)) + T(T(9)) - 6$
$\mathbf{796} := Q(7) + C\left(\sqrt{9}\right) + 6!$
$\mathbf{796} := Q(T(7)) + T\left(\sqrt{9}\right) + 6$
$\mathbf{796} := Q(T(7)) - 9 + T(6)$

$\mathbf{797} := 7 + T\left(\sqrt{9}\right) + Q(T(7))$
$\mathbf{797} := F(7) + Q\left(Q\left(F\left(\sqrt{9}\right)\right) \times 7\right)$

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$\mathbf{797} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 7$

$\mathbf{797} := T\left(7\right)^{F\left(\sqrt{9}\right)} + F\left(7\right)$

$\mathbf{798} := \left(-7 + T\left(9\right)\right) \times F\left(8\right)$

$\mathbf{798} := \left(-7 + T\left(9\right)\right) \times T\left(\sqrt{T\left(8\right)}\right)$

$\mathbf{798} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 8$

$\mathbf{799} := 79 + \left(\sqrt{9}\right)!!$

$\mathbf{799} := 79 + T\left(\sqrt{9}\right)!$

$\mathbf{799} := -F\left(F\left(7\right)\right) - \sqrt{9} + T\left(T\left(9\right)\right)$

$\mathbf{799} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 9$

$\mathbf{799} := Q\left(T\left(7\right)\right) + T\left(9\right)/\sqrt{9}$

$\mathbf{800} := 8 \times Q\left(T\left(Q\left(0! + 0!\right)\right)\right)$

$\mathbf{801} := \left(\sqrt{T\left(8\right)}\right)! + Q\left(Q\left(T\left(1 + 0!\right)\right)\right)$

$\mathbf{802} := T\left(T\left(8\right)\right) + T\left(Q\left(Q\left(02\right)\right)\right)$

$\mathbf{803} := -\left(T\left(T\left(\sqrt{T\left(8\right)}\right)\right) + \left(0! - T\left(T\left(Q\left(3\right)\right)\right)\right)\right)$

$\mathbf{803} := -T\left(F\left(8\right)\right) - 0! + T\left(T\left(Q\left(3\right)\right)\right)$

$\mathbf{804} := -T\left(F\left(8\right)\right) + T\left(T\left(-0! + T\left(4\right)\right)\right)$

$\mathbf{804} := -T\left(F\left(8\right)\right) + T\left(T\left(Q\left(F\left(04\right)\right)\right)\right)$

$\mathbf{804} := -T\left(T\left(\sqrt{T\left(8\right)}\right)\right) + T\left(T\left(-0! + T\left(4\right)\right)\right)$

$\mathbf{804} := -T\left(T\left(\sqrt{T\left(8\right)}\right)\right) + T\left(T\left(Q\left(0! + \sqrt{4}\right)\right)\right)$

$\mathbf{809} := \left(\sqrt{T\left(8\right)}\right)! + F\left(0! + T\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right)$

$\mathbf{809} := 80 + C\left(9\right)$

$\mathbf{809} := F\left(F\left(8 - 0!\right)\right) + Q\left(Q\left(F\left(\sqrt{9}\right)\right)!\right)$

$\mathbf{811} := C\left(\sqrt{T\left(8\right)}\right) + T\left(F\left(Q\left(T\left(1 + 1\right)\right)\right)\right)$

$\mathbf{812} := -Q\left(F\left(8\right) + 1\right) + Q\left(Q\left(F\left(Q\left(2\right)\right)!\right)\right)$

$\mathbf{812} := T\left(T\left(8 - 1\right)\right) \times 2$

$\mathbf{813} := -C\left(8 - 1\right) + Q\left(F\left(Q\left(3\right)\right)\right)$

$\mathbf{816} := \sqrt{T\left(8\right)} \times T\left(16\right)$

$\mathbf{817} := -Q\left(Q\left(8\right)\right) + C\left(17\right)$

$\mathbf{819} := T\left(F\left(8 - 1\right)\right) \times 9$

$\mathbf{819} := T\left(T\left(8 + 1\right)\right) - C\left(T\left(\sqrt{9}\right)\right)$

$\mathbf{820} := T\left(T\left(8\right) + Q\left(2\right)\right) + 0$

$\mathbf{820} := T\left(T\left(8\right) + T\left(2\right) + 0!\right)$

$\mathbf{821} := T\left(T\left(8\right) + Q\left(2\right)\right) + 1$

$\mathbf{822} := F\left(8\right) + Q\left(Q\left(F\left(Q\left(2\right)\right)\right) + F\left(Q\left(2\right)\right)!!\right.$

$\mathbf{822} := T\left(T\left(8\right) + Q\left(2\right)\right) + 2$

,

$\mathbf{823} := F\left(8\right) \times C\left(F\left(Q\left(2\right)\right)\right) + Q\left(Q\left(Q\left(F\left(3\right)\right)\right)\right.$

$\mathbf{823} := Q\left(F\left(8\right)\right) + Q\left(2\right) + T\left(C\left(3\right)\right)$

$\mathbf{823} := T\left(T\left(8\right) + Q\left(2\right)\right) + 3$

$\mathbf{824} := -8 + Q\left(\left(Q\left(2\right)\right)!\right) + Q\left(Q\left(4\right)\right)$

$\mathbf{824} := T\left(T\left(8\right) + Q\left(2\right)\right) + 4$

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$\mathbf{825} := (T(8) - T(2)) \times Q(5)$
$\mathbf{825} := F(8+2) \times T(5)$
$\mathbf{825} := T(8+2) \times T(5)$
$\mathbf{825} := T(T(8) + Q(2)) + 5$

$\mathbf{826} := \sqrt{T(8)} + T(Q(2) + Q(6))$
$\mathbf{826} := F(F(8) - F(Q(2))!) + C(6)$
$\mathbf{826} := T(T(8) + Q(2)) + 6$
$\mathbf{826} := T(T(8) - 2) + T(T(6))$

$\mathbf{827} := C\left(\sqrt{T(8)}\right) + T(C(T(2))) + F(F(7))$
$\mathbf{827} := Q(8) - F(C(2)) + Q(T(7))$
$\mathbf{827} := Q(F(8) + F(2)) + C(7)$
$\mathbf{827} := T(T(8) + Q(2)) + 7$

$\mathbf{828} := \left(\sqrt{T(8)}\right)! + T(2) \times T(8)$
$\mathbf{828} := (F(8) + 2) \times T(8)$
$\mathbf{828} := \left(T\left(\sqrt{T(8)}\right) + 2\right) \times T(8)$
$\mathbf{828} := \sqrt{T(8)} \times C(T(2)) + T(T(8))$
$\mathbf{828} := T(T(8) + Q(2)) + 8$

$\mathbf{829} := Q(8+2) + C(9)$
$\mathbf{829} := T(F(8)) + T(2) + T(F(9))$
$\mathbf{829} := T(T(8) + Q(2)) + 9$

$\mathbf{832} := Q(8) \times (Q(3) + Q(2))$

$\mathbf{833} := -8 + Q(F(3) + C(3))$
$\mathbf{833} := -8 + Q(F(T(3)) + T(T(3)))$
$\mathbf{833} := -Q(8) + T(T(T(3))) + T(Q(T(3)))$
$\mathbf{833} := Q(F(8) + F(3!)) - F(3!)$

$\mathbf{834} := (Q(F(8)) - Q(F(3))!) \times \sqrt{4}$
$\mathbf{834} := \sqrt{T(8)} \times (3 + T(Q(4)))$
$\mathbf{834} := -Q(F(8)) + Q(Q(3!)) - F\left(\sqrt{C(4)}\right)$
$\mathbf{834} := T(F(8)) + C(3) + Q(4!)$
$\mathbf{834} := T(T(8)) + F(T(3)) \times T(T(F(4)))$
$\mathbf{834} := T(T(8)) + T(T(3)) \times \sqrt{C(4)}$

$\mathbf{835} := (-Q(8) + T(T(T(3)))) \times 5$
$\mathbf{835} := -\sqrt{T(8)} + C(T(3)) + Q(Q(5))$
$\mathbf{835} := -Q(F(8)) + Q(F(Q(3))) + 5!$
$\mathbf{835} := Q(T(8-3)) + F(T(5))$
$\mathbf{835} := T(F(8)) - T(3) + F(T(5))$

$\mathbf{836} := C(8) + Q(3 \times 6)$
$\mathbf{836} := -Q(8) + Q(-3! + Q(6))$
$\mathbf{836} := -Q(8) + Q(Q(3) + T(6))$
$\mathbf{836} := Q(F(8) + Q(3)) - Q(F(6))$

$\mathbf{837} := 8 + T(Q(3)) + Q(T(7))$
$\mathbf{837} := C(8) + T(-3 + T(7))$
$\mathbf{837} := -Q(8) - Q(Q(3!)) + C(F(7))$

$\mathbf{838} := T(8) + T(Q(Q(F(3)))) + T(T(8))$

$\mathbf{839} := -Q(8) + T(-3 + T(9))$
$\mathbf{839} := Q(F(8) + C(F(3))) - F\left(\sqrt{9}\right)$
$\mathbf{839} := Q(F(8) + F(3!)) - F\left(\sqrt{9}\right)$

$\mathbf{840} := \left(\sqrt{T(8)}\right)! + (4 + 0!)!$
$\mathbf{840} := F(8) \times 40$

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$$\mathbf{840} := T\left(\sqrt{T\left(8\right)}\right) \times 40$$

$$\mathbf{841} := Q\left(\sqrt{T\left(8\right)} + 4! - 1\right)$$
$$\mathbf{841} := Q\left(F\left(8\right) + C\left(F\left(4-1\right)\right)\right)$$
$$\mathbf{841} := Q\left(F\left(8\right) + F\left(\left(4-1\right)!\right)\right)$$
$$\mathbf{841} := Q\left(-T\left(8\right) + C\left(4\right) + 1\right)$$
$$\mathbf{841} := T\left(F\left(8\right)\right) + F\left(T\left(4+1\right)\right)$$

$$\mathbf{842} := \sqrt{T\left(8\right)} \times T\left(T\left(4\right)\right) + C\left(C\left(2\right)\right)$$
$$\mathbf{842} := -F\left(F\left(8\right)\right) / \left(\sqrt{C\left(4\right)} - F\left(C\left(2\right)\right)\right)$$
$$\mathbf{842} := F\left(F\left(8\right)\right) / \left(T\left(4\right) + T\left(2\right)\right)$$
$$\mathbf{842} := F\left(F\left(8\right)\right) / F\left(\left(F\left(4\right)\right)! + F\left(2\right)\right)$$
$$\mathbf{842} := F\left(F\left(8\right)\right) / F\left(F\left(4\right) + Q\left(2\right)\right)$$
$$\mathbf{842} := T\left(T\left(\sqrt{T\left(8\right)}\right)\right) - T\left(T\left(4\right)\right) + T\left(Q\left(T\left(T\left(2\right)\right)\right)\right)$$
$$\mathbf{842} := T\left(T\left(8\right)\right) - T\left(T\left(4\right)\right) + T\left(T\left(T\left(T\left(2\right)\right)\right)\right)$$

$$\mathbf{843} := \sqrt{T\left(8\right)} \times T\left(Q\left(4\right)\right) + C\left(3\right)$$
$$\mathbf{843} := -F\left(8\right) + 4! \times Q\left(3!\right)$$
$$\mathbf{843} := -F\left(8\right) + 4 \times C\left(3!\right)$$
$$\mathbf{843} := Q\left(F\left(8\right)\right) + 4! + T\left(C\left(3\right)\right)$$
$$\mathbf{843} := T\left(8\right) \times 4! - T\left(T\left(3\right)\right)$$
$$\mathbf{843} := T\left(F\left(8\right)\right) + Q\left(4!\right) + Q\left(T\left(3\right)\right)$$

$$\mathbf{844} := \left(Q\left(Q\left(8\right)\right) - F\left(4\right)!!\right) / 4$$
$$\mathbf{844} := Q\left(F\left(8\right) + \sqrt{C\left(4\right)}\right) + F\left(4\right)$$
$$\mathbf{844} := T\left(Q\left(8\right) - 4!\right) + 4!$$
$$\mathbf{844} := T\left(T\left(8\right) + 4\right) + 4!$$
$$\mathbf{844} := T\left(T\left(8\right) + F\left(4\right)\right) + C\left(4\right)$$

$$\mathbf{845} := T\left(Q\left(8\right)\right) / 4 + T\left(Q\left(5\right)\right)$$
$$\mathbf{845} := \left(8 - \sqrt{4}\right)! + C\left(5\right)$$
$$\mathbf{845} := Q\left(F\left(F\left(8\right) / F\left(4\right)\right)\right) \times 5$$
$$\mathbf{845} := C\left(8\right) + \sqrt{C\left(4\right)} + T\left(Q\left(5\right)\right)$$
$$\mathbf{845} := T\left(F\left(8\right)\right) + 4 + F\left(T\left(5\right)\right)$$

$$\mathbf{846} := 8! / C\left(4\right) + C\left(6\right)$$
$$\mathbf{846} := F\left(8\right) \times \left(F\left(4\right)\right)! + 6!$$
$$\mathbf{846} := F\left(8\right) \times T\left(F\left(4\right)\right) + 6!$$
$$\mathbf{846} := T\left(\sqrt{T\left(8\right)}\right) \times T\left(T\left(\sqrt{4}\right)\right) + 6!$$
$$\mathbf{846} := -T\left(8\right) + \sqrt{4} \times Q\left(T\left(6\right)\right)$$

$$\mathbf{847} := \sqrt{T\left(8\right)} + Q\left(Q\left(4\right) + F\left(7\right)\right)$$
$$\mathbf{847} := Q\left(8 + F\left(4\right)\right) \times 7$$
$$\mathbf{847} := 8 + T\left(T\left(4\right)\right) + Q\left(T\left(7\right)\right)$$
$$\mathbf{847} := C\left(8\right) - \sqrt{C\left(4\right)} + C\left(7\right)$$
$$\mathbf{847} := F\left(8\right) \times 4! + C\left(7\right)$$
$$\mathbf{847} := F\left(8\right)^{\sqrt{4}} + T\left(T\left(7\right)\right)$$
$$\mathbf{847} := F\left(8\right)^{F\left(F\left(4\right)\right)} + T\left(T\left(7\right)\right)$$
$$\mathbf{847} := Q\left(Q\left(8\right)\right) - Q\left(C\left(4\right) - 7\right)$$
$$\mathbf{847} := T\left(\sqrt{T\left(8\right)}\right)^{\sqrt{4}} + T\left(T\left(7\right)\right)$$

$$\mathbf{848} := \left(\sqrt{T\left(8\right)} + Q\left(T\left(4\right)\right)\right) \times 8$$
$$\mathbf{848} := F\left(8\right) \times Q\left(4\right) + C\left(8\right)$$
$$\mathbf{848} := Q\left(8\right) + Q\left(C\left(4\right) - T\left(8\right)\right)$$
$$\mathbf{848} := Q\left(F\left(8\right)\right) - F\left(Q\left(F\left(4\right)\right)\right) + Q\left(F\left(8\right)\right)$$
$$\mathbf{848} := T\left(8\right) + T\left(4!\right) + C\left(8\right)$$

$$\mathbf{849} := \left(8 - F\left(4\right)\right)! + C\left(9\right)$$
$$\mathbf{849} := \left(8 - T\left(\sqrt{4}\right)\right)! + C\left(9\right)$$
$$\mathbf{849} := C\left(8\right) + Q\left(Q\left(4\right)\right) + Q\left(9\right)$$
$$\mathbf{849} := Q\left(F\left(8\right) + F\left(F\left(4\right)!\right)\right) + F\left(\left(\sqrt{9}\right)!\right)$$
$$\mathbf{849} := Q\left(T\left(8\right) + \sqrt{4}\right) - T\left(F\left(9\right)\right)$$

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$\mathbf{849} := -T(F(8)) + 4! \times T(9)$
$\mathbf{849} := -T(Q(8) - Q(4)) + Q(T(9))$
$\mathbf{849} := -T\left(T\left(\sqrt{T(8)}\right)\right) + 4! \times T(9)$

$\mathbf{852} := (Q(F(8)) - T(5)) \times 2$
$\mathbf{852} := T(T(8) + 5) - Q(T(2))$

$\mathbf{853} := 8 + C(5) + 3!!$
$\mathbf{853} := 8 + C(5) + T(3)!$
$\mathbf{853} := -8 + T(5 + Q(T(3)))$
$\mathbf{853} := C(8) + C(5) + C(T(3))$
$\mathbf{853} := T(F(8)) + Q(Q(5)) - 3$
$\mathbf{853} := T(T(8) + 5) - F(T(3))$

$\mathbf{854} := \left(\sqrt{T(8)}\right)! + C(5) + Q\left(T\left(\sqrt{4}\right)\right)$
$\mathbf{854} := -\left(T\left(\sqrt{T(8)}\right) + (C(5) - C(T(4)))\right)$
$\mathbf{854} := -8 - C(5) + F(Q(4))$
$\mathbf{854} := -F(8) - C(5) + C(T(4))$
$\mathbf{854} := T(F(8)) + Q(Q(5)) - \sqrt{4}$
$\mathbf{854} := T\left(T\left(\sqrt{T(8)}\right)\right) + Q(Q(5)) - \sqrt{4}$

$\mathbf{855} := \left(\sqrt{T(8)}\right)! + 5! + T(5)$
$\mathbf{855} := -F(8) \times 5! + C(T(5))$
$\mathbf{855} := Q(T(8)) - Q(F(5!/T(5)))$

$\mathbf{856} := \left(\sqrt{T(8)}\right)! + T(-5 + T(6))$
$\mathbf{856} := T(8) + T(5 \times F(6))$
$\mathbf{856} := T(8 \times 5) + Q(6)$

$\mathbf{857} := Q(F(8)) + T(Q(5)) + T(F(7))$

$\mathbf{858} := F(8) + T(Q(5)) + C(8)$
$\mathbf{858} := Q(8 + Q(5)) - T(F(8))$
$\mathbf{858} := Q(8 + Q(5)) - T\left(T\left(\sqrt{T(8)}\right)\right)$
$\mathbf{858} := T\left(\sqrt{T(8)}\right) + T(Q(5)) + C(8)$

$\mathbf{859} := -8 - 5! + F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right)$
$\mathbf{859} := T(F(8)) + Q(Q(5)) + \sqrt{9}$
$\mathbf{859} := T\left(T\left(\sqrt{T(8)}\right)\right) + Q(Q(5)) + \sqrt{9}$
$\mathbf{859} := T(T(8) + 5) - F\left(\sqrt{9}\right)$

$\mathbf{861} := T(T(8) + 6 - 1)$

$\mathbf{862} := \sqrt{T(8)} + 6! + T(Q(Q(2)))$
$\mathbf{862} := F(8) + Q(T(6) + C(2))$
$\mathbf{862} := Q(F(8) + F(6)) + F(C(2))$
$\mathbf{862} := Q(Q(8) - F(F(6))) - F(Q(Q(2)))$
$\mathbf{862} := T(T(8)) + Q(6 + C(2))$
$\mathbf{862} := T(T(8)) + Q(F(6) + T(T(2)))$

$\mathbf{863} := 8 + Q(Q(6)) - Q(T(T(3)))$
$\mathbf{863} := -Q(F(8)) + Q(Q(6)) + C(F(3))$
$\mathbf{863} := -Q(F(8)) + Q(Q(6)) + F(3!)$
$\mathbf{863} := T(T(8)) + T(T(6)) - F(Q(3))$

$\mathbf{864} := 8!/Q(6) - Q(Q(4))$
$\mathbf{864} := 8 \times C(6)/\sqrt{4}$
$\mathbf{864} := 8 \times Q(6) \times F(4)$
$\mathbf{864} := Q(8) \times C(6)/Q(4)$
$\mathbf{864} := T(8) \times (6 \times 4)$

$\mathbf{865} := T(8 + Q(6)) - C(5)$
$\mathbf{865} := T(T(8) + F(6)) - C(5)$

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$$\mathbf{867} := -T(8) + T(6 \times 7)$$

$$\mathbf{869} := C(8) - T(6) + T\left(C\left(\sqrt{9}\right)\right)$$
$$\mathbf{869} := T(T(8) + 6) - F(9)$$

$$\mathbf{872} := (T(F(8)) - F(7)) \times Q(2)$$
$$\mathbf{872} := Q(8) + Q(T(7)) + Q(2)!$$
$$\mathbf{872} := T(T(8)) + F(F(7)) - C(T(2))$$

$$\mathbf{873} := \left(\sqrt{T(8)}\right)! + T(F(F(7)) - C(T(3)))$$
$$\mathbf{873} := \left(\sqrt{T(8)} + T(F(7))\right) \times Q(3)$$
$$\mathbf{873} := 8 + Q(T(7)) + Q(Q(3))$$
$$\mathbf{873} := C(8) + Q(F(7) + 3!)$$
$$\mathbf{873} := C(8) + Q(F(7) + T(3))$$
$$\mathbf{873} := C(8) + Q(T(7) - Q(3))$$
$$\mathbf{873} := Q(8) + F(F(7)) + Q(Q(F(3))!)$$

$$\mathbf{874} := -Q(8) - Q(7) + F(Q(4))$$
$$\mathbf{874} := Q(T(8)) - T(T(7)) - Q(4)$$
$$\mathbf{874} := -T(8) + T(F(7)) \times T(4)$$
$$\mathbf{874} := T(F(8)) + C(7) + T(4!)$$
$$\mathbf{874} := T(T(8)) + F(7) \times Q(4)$$
$$\mathbf{874} := -T(T(8)) + T(7) \times T(T(4))$$

$$\mathbf{875} := -(F(8) - T(7)) \times C(5)$$
$$\mathbf{875} := (Q(F(8)) - T(T(7))) \times Q(5)$$
$$\mathbf{875} := -\left(T\left(\sqrt{T(8)}\right) - T(7)\right) \times C(5)$$
$$\mathbf{875} := (-T(F(8)) + T(T(7))) \times 5$$
$$\mathbf{875} := \left(-T\left(T\left(\sqrt{T(8)}\right)\right) + T(T(7))\right) \times 5$$
$$\mathbf{875} := Q(T(8)) - T(T(7)) - T(5)$$

$$\mathbf{876} := C(8) + C(7) + F(F(6))$$
$$\mathbf{876} := C(8) + C(7) + T(6)$$
$$\mathbf{876} := F(8) + C(7) + C(F(6))$$
$$\mathbf{876} := T(8 \times 7) - 6!$$
$$\mathbf{876} := T(T(8)) + T\left(\sqrt{T(T(7)) - 6}\right)$$
$$\mathbf{876} := T(T(8)) + T(T(7) - F(6))$$

$$\mathbf{877} := Q(T(8)) - T(T(7)) - F(7)$$

$$\mathbf{878} := -F(8) + F(F(7)) + T(T(8))$$

$$\mathbf{879} := C(8) + C(7) + Q\left(F\left(\sqrt{9}\right)\right)!$$
$$\mathbf{879} := -F(8) + Q\left(T(7) + F\left(\sqrt{9}\right)\right)$$
$$\mathbf{879} := -T\left(\sqrt{T(8)}\right) + Q\left(T\left(\sqrt{T(Q(7))}\right)/T\left(T\left(\sqrt{9}\right)\right)\right)$$

$$\mathbf{881} := C\left(\sqrt{T(8)}\right) + T(T(8)) - 1$$
$$\mathbf{881} := Q(F(8)) + Q(F(8)) - 1$$
$$\mathbf{881} := Q\left(T\left(\sqrt{T(8)}\right)\right) + Q\left(T\left(\sqrt{T(8)}\right)\right) - 1$$

$$\mathbf{882} := F(8) \times F(8) \times 2$$
$$\mathbf{882} := T(T(8)) + \sqrt{T(8)^{T(2)}}$$
$$\mathbf{882} := T(T(8)) + C(8 - 2)$$
$$\mathbf{882} := T(T(8)) + T(8) \times T(T(2))$$

$$\mathbf{883} := C\left(\sqrt{T(8)}\right) + T(T(8)) + F(F(3))$$
$$\mathbf{883} := -C(8) + T(T(8)) + C(Q(3))$$
$$\mathbf{883} := Q(F(8)) + Q(F(8)) + F(F(3))$$

$$\mathbf{884} := C\left(\sqrt{T(8)}\right) + T(T(8)) + \sqrt{4}$$
$$\mathbf{884} := Q(8) + T(Q(8) - 4!)$$

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$\mathbf{884} := Q\left(F\left(8\right)\right) + Q\left(F\left(8\right)\right) + \sqrt{4}$

$\mathbf{885} := T\left(T\left(8\right)\right) - \sqrt{T\left(8\right)} + Q\left(T\left(5\right)\right)$

$\mathbf{887} := \left(\sqrt{T\left(8\right)}\right)! + C\left(\sqrt{T\left(8\right)}\right) - Q\left(7\right)$

$\mathbf{887} := 8!/T\left(8\right) - F\left(F\left(7\right)\right)$

$\mathbf{888} := 8 \times T\left(T\left(8\right)\right)/\sqrt{T\left(8\right)}$

$\mathbf{889} := \left(\sqrt{T\left(8\right)}\right)! + Q\left(-8 + T\left(T\left(\sqrt{9}\right)\right)\right)$

$\mathbf{889} := -8 + T\left(T\left(8\right)\right) + T\left(T\left(T\left(\sqrt{9}\right)\right)\right)$

$\mathbf{889} := C\left(8\right) + F\left(\left(\sqrt{9}\right)! + 8\right)$

$\mathbf{889} := C\left(8\right) + F\left(8 + \left(\sqrt{9}\right)!\right)$

$\mathbf{889} := C\left(8\right) + F\left(8 + T\left(\sqrt{9}\right)\right)$

$\mathbf{889} := Q\left(-8 + F\left(8\right)\right) + \left(\sqrt{9}\right)!!$

$\mathbf{889} := Q\left(T\left(8\right)\right) - Q\left(F\left(8\right)\right) + F\left(9\right)$

$\mathbf{889} := T\left(F\left(8\right)\right) + T\left(T\left(8\right)\right) - F\left(T\left(\sqrt{9}\right)\right)$

$\mathbf{890} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 0$

$\mathbf{890} := Q\left(T\left(8\right)\right) - T\left(T\left(T\left(\sqrt{9}\right) + 0!\right)\right)$

$\mathbf{891} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 1$

$\mathbf{891} := T\left(T\left(8\right)\right) + Q\left(T\left(T\left(\sqrt{9}\right) - 1\right)\right)$

$\mathbf{892} := 8!/T\left(9\right) - Q\left(2\right)$

$\mathbf{892} := -8 + Q\left(\left(\sqrt{9}\right)! + \left(Q\left(2\right)\right)!\right)$

$\mathbf{892} := -8 + Q\left(F\left(9\right) - Q\left(2\right)\right)$

$\mathbf{892} := C\left(8\right) + F\left(\sqrt{9}\right) + T\left(C\left(T\left(2\right)\right)\right)$

$\mathbf{892} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 2$

$\mathbf{893} := 8!/T\left(9\right) - 3$

$\mathbf{893} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 3$

$\mathbf{894} := \left(Q\left(F\left(8\right)\right) + \left(\sqrt{9}\right)!\right) \times \sqrt{4}$

$\mathbf{894} := 8!/T\left(9\right) - \sqrt{4}$

$\mathbf{894} := 8!/T\left(9\right) - F\left(F\left(4\right)\right)$

$\mathbf{894} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 4$

$\mathbf{894} := T\left(T\left(8\right)\right) - \sqrt{9} + T\left(T\left(T\left(F\left(4\right)\right)\right)\right)$

$\mathbf{894} := T\left(T\left(8\right)\right) + T\left(T\left(T\left(\sqrt{9}\right)\right)\right) - T\left(\sqrt{4}\right)$

$\mathbf{895} := \sqrt{T\left(8\right)} \times T\left(9\right) + Q\left(Q\left(5\right)\right)$

$\mathbf{895} := -8 + T\left(C\left(\sqrt{9}\right) + T\left(5\right)\right)$

$\mathbf{895} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 5$

$\mathbf{895} := Q\left(Q\left(8\right) - F\left(9\right)\right) - 5$

$\mathbf{896} := 8!/\left(9 + Q\left(6\right)\right)$

$\mathbf{896} := 8!/\left(9 + T\left(F\left(6\right)\right)\right)$

$\mathbf{896} := 8!/T\left(\sqrt{9} + 6\right)$

$\mathbf{896} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 6$

$\mathbf{896} := T\left(T\left(8\right)\right) - F\left(F\left(\sqrt{9}\right)\right) + T\left(T\left(6\right)\right)$

$\mathbf{897} := 8 + \left(\sqrt{9}\right)!! + Q\left(F\left(7\right)\right)$

$\mathbf{897} := C\left(8\right) + C\left(\left(\sqrt{9}\right)!\right) + Q\left(F\left(7\right)\right)$

$\mathbf{897} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 7$

$\mathbf{897} := -Q\left(8\right) + Q\left(\sqrt{9} + T\left(7\right)\right)$

$\mathbf{897} := T\left(8\right) + T\left(F\left(9\right) + 7\right)$

$\mathbf{897} := T\left(T\left(8\right)\right) + T\left(\sqrt{9} \times 7\right)$

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$$\mathbf{897} := T\left(T\left(8\right)\right) + T\left(T\left(T\left(9-7\right)\right)\right)$$

$$\mathbf{898} := 8 + T\left(C\left(\sqrt{9}\right)\right) + C\left(8\right)$$
$$\mathbf{898} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 8$$
$$\mathbf{898} := Q\left(F\left(8\right)\right) + Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right) + Q\left(F\left(8\right)\right)$$
$$\mathbf{898} := T\left(F\left(8\right)\right) + F\left(F\left(\sqrt{9}\right)\right) + T\left(T\left(8\right)\right)$$

$$\mathbf{899} := 8!/T\left(9\right) + \sqrt{9}$$
$$\mathbf{899} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 9$$
$$\mathbf{899} := Q\left(Q\left(8\right) - F\left(9\right)\right) - F\left(F\left(\sqrt{9}\right)\right)$$
$$\mathbf{899} := -T\left(8 \times F\left(\sqrt{9}\right)\right) + T\left(T\left(9\right)\right)$$

$$\mathbf{900} := Q\left(\left(\sqrt{9}\right)! + Q\left(0! + 0!\right)!\right)$$
$$\mathbf{900} := Q\left(\sqrt{9} \times T\left(Q\left(0! + 0!\right)\right)\right)$$
$$\mathbf{900} := Q\left(C\left(\sqrt{9}\right) + T\left(0! + 0!\right)\right)$$
$$\mathbf{900} := Q\left(F\left(9\right) - Q\left(0! + 0!\right)\right)$$

$$\mathbf{903} := T\left(T\left(9\right) - 03\right)$$

$$\mathbf{904} := -T\left(Q\left(9\right)\right) + Q\left(0! + C\left(4\right)\right)$$
$$\mathbf{904} := -T\left(Q\left(9\right)\right) + Q\left(0! + Q\left(F\left(T\left(F\left(4\right)\right)\right)\right)\right)$$

$$\mathbf{906} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) - Q\left(0! + F\left(6\right)\right)$$

$$\mathbf{909} := T\left(T\left(9\right) - 0!\right) - Q\left(9\right)$$

$$\mathbf{911} := C\left(T\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) - F\left(11\right)$$

$$\mathbf{912} := C\left(C\left(F\left(\sqrt{9}\right)\right)\right) + Q\left(-1 + F\left(C\left(2\right)\right)\right)$$
$$\mathbf{912} := C\left(F\left(\left(\sqrt{9}\right)!\right)\right) + Q\left(-1 + F\left(C\left(2\right)\right)\right)$$
$$\mathbf{912} := Q\left(T\left(T\left(\sqrt{9}\right)\right) - 1\right) + C\left(C\left(2\right)\right)$$

$$\mathbf{914} := T\left(T\left(9\right)\right) - Q\left(1 + T\left(4\right)\right)$$

$$\mathbf{915} := T\left(T\left(9\right)\right) - 1 \times 5!$$
$$\mathbf{915} := T\left(T\left(9\right)\right) - T\left(15\right)$$

$$\mathbf{917} := C\left(C\left(F\left(\sqrt{9}\right)\right)\right) - 1 + T\left(T\left(7\right)\right)$$
$$\mathbf{917} := C\left(F\left(T\left(\sqrt{9}\right)\right)\right) - 1 + T\left(T\left(7\right)\right)$$

$$\mathbf{918} := C\left(\sqrt{9}\right) \times F\left(1 + 8\right)$$
$$\mathbf{918} := F\left(9\right) \times C\left(\sqrt{1 + 8}\right)$$
$$\mathbf{918} := -T\left(C\left(\sqrt{9}\right)\right) + Q\left(T\left(1 \times 8\right)\right)$$
$$\mathbf{918} := T\left(C\left(\sqrt{9}\right) + 1\right) + C\left(8\right)$$
$$\mathbf{918} := T\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right) + 1\right) \times \sqrt{T\left(8\right)}$$

$$\mathbf{919} := C\left(9\right) + T\left(19\right)$$
$$\mathbf{919} := C\left(9 + 1\right) - Q\left(9\right)$$
$$\mathbf{919} := T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + T\left(1 + T\left(T\left(\sqrt{9}\right)\right)\right)$$
$$\mathbf{919} := T\left(T\left(F\left(T\left(\sqrt{9}\right)\right)\right)\right) + T\left(1 + T\left(T\left(\sqrt{9}\right)\right)\right)$$

$$\mathbf{920} := T\left(F\left(9\right)\right) + T\left(Q\left(Q\left(2\right) + 0!\right)\right)$$
$$\mathbf{920} := T\left(Q\left(9\right)\right) - Q\left(Q\left(C\left(2\right) - 0!\right)\right)$$
$$\mathbf{920} := T\left(Q\left(9\right)\right) - Q\left(Q\left(T\left(T\left(2\right)\right) + 0!\right)\right)$$

$$\mathbf{921} := T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) - 1$$

$$\mathbf{922} := F\left(\sqrt{9}\right)^{C(2)} + T\left(T\left(C\left(2\right)\right)\right)$$

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$\mathbf{922} := F(9) \times C(T(2)) + Q(2)$
$\mathbf{922} := -Q(9) + F(Q(Q(2))) + Q(Q(2))$
$\mathbf{922} := Q(9) + Q(C(2) + F(C(2)))$
$\mathbf{922} := T(T(9) - 2) - Q(2)!$
$\mathbf{922} := T\left(T\left(F\left(T\left(\sqrt{9}\right)\right)\right)\right) + 2^{F(T(T(2)))}$

$\mathbf{923} := C\left(\sqrt{9}\right) + C(2)!/T(Q(3))$
$\mathbf{923} := Q(F(9)) - F(Q(2) + Q(3))$

$\mathbf{924} := (T(9) - F(2)) \times T(T(F(4)))$
$\mathbf{924} := \sqrt{9} \times (C(2) + T(4!))$
$\mathbf{924} := T(T(9 - T(2))) \times 4$
$\mathbf{924} := C(9) - F(C(2)) + C(F(4)!)$
$\mathbf{924} := -F(9)^2 + T(C(4))$
$\mathbf{924} := Q\left(\left(\sqrt{9}\right)! + (Q(2))!\right) + 4!$
$\mathbf{924} := Q(F(9) - Q(2)) + 4!$

$\mathbf{925} := -\left(C\left(\sqrt{9}\right) - Q(C(2))\right) \times Q(5)$
$\mathbf{925} := (F(9) + F(Q(2))) \times Q(5)$
$\mathbf{925} := (F(9) + T(2)) \times Q(5)$
$\mathbf{925} := (T(9) - C(2)) \times Q(5)$
$\mathbf{925} := Q\left(\left(\sqrt{9}\right)! + (Q(2))!\right) + Q(5)$
$\mathbf{925} := T(T(9)) - (T(T(2)))! + F(T(5))$
$\mathbf{925} := T(T(9)) + T(Q(2)) - 5!$

$\mathbf{926} := \sqrt{9} + F(Q(Q(2))) - Q(F(6))$
$\mathbf{926} := -C\left(\sqrt{9}\right) + C(C(2)) + Q(T(6))$
$\mathbf{926} := -C\left(\sqrt{9}\right) + Q(F(C(2))) + C(F(6))$
$\mathbf{926} := F(9) \times C(T(2)) + F(6)$
$\mathbf{926} := Q(T(9)) - T(T(T(Q(2)))) + Q(T(6))$
$\mathbf{926} := T(T(9) - F(2)) - Q(F(6))$

$\mathbf{927} := \left(\sqrt{9}\right)!! + Q(Q(Q(2))) - Q(7)$
$\mathbf{927} := 9 + C(C(2)) + T(T(7))$
$\mathbf{927} := C\left(\sqrt{9}\right) + Q(2 + T(7))$
$\mathbf{927} := -F(9) + Q(T(2) + T(7))$
$\mathbf{927} := Q(F(9)) + Q(2) - F(F(7))$
$\mathbf{927} := T(T(9)) - T(Q(Q(2))) + T(7)$

$\mathbf{928} := (-9! - F(Q(2)!)) / (-Q(F(8)))$
$\mathbf{928} := \left(C\left(T\left(\sqrt{9}\right)\right) - Q(T(Q(2)))\right) \times 8$
$\mathbf{928} := \left(\sqrt{9}\right)!! \times 2 - C(8)$
$\mathbf{928} := Q\left(\left(\sqrt{9}\right)!\right) \times (Q(2))! + Q(8)$
$\mathbf{928} := Q(F(9)) + T(2) - T(F(8))$
$\mathbf{928} := Q\left(T\left(\sqrt{9}\right)\right) \times Q(2)! + Q(8)$
$\mathbf{928} := T\left(\sqrt{9}\right)! - C(2) + C\left(\sqrt{T(8)}\right)$
$\mathbf{928} := T\left(\sqrt{9}\right)! - C(C(2)) + \left(\sqrt{T(8)}\right)!$

$\mathbf{929} := (-Q(Q(9)) + F(Q(Q(2)))) / \left(-\left(\sqrt{9}\right)!\right)$
$\mathbf{929} := C\left(\left(\sqrt{9}\right)!\right) - Q(Q(2)) + C(9)$
$\mathbf{929} := C\left(T\left(\sqrt{9}\right)\right) - Q(Q(2)) + C(9)$
$\mathbf{929} := F(9) + T(Q(2)!) + T(F(9))$
$\mathbf{929} := T(T(9)) - Q(T(Q(2))) - T\left(\sqrt{9}\right)$

$\mathbf{930} := F\left(\sqrt{9}\right) \times T(30)$
$\mathbf{930} := T\left(\sqrt{9}\right)! + T(T(T(3)) - 0!)$

$\mathbf{931} := Q(F(9)) - Q(Q(Q(F(3))) - 1)$
$\mathbf{931} := Q(F(9)) - Q(T(T(3) - 1))$

$\mathbf{932} := \left(\sqrt{9}\right)!! + C(3!) - Q(2)$

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$\mathbf{932} := Q\left(F\left(\sqrt{9}\right)\right) \times F\left(Q\left(3\right) + Q\left(2\right)\right)$
$\mathbf{932} := Q\left(F\left(9\right)\right) - C\left(3!\right) - C\left(2\right)$
$\mathbf{932} := Q\left(F\left(9\right)\right) - C\left(T\left(3\right)\right) - C\left(2\right)$
$\mathbf{932} := T\left(\sqrt{9}\right)! + C\left(T\left(3\right)\right) - Q\left(2\right)$
$\mathbf{932} := T\left(T\left(9\right)\right) - 3 - Q\left(T\left(Q\left(2\right)\right)\right)$

$\mathbf{933} := -\sqrt{9} + 3!! + C\left(3!\right)$
$\mathbf{933} := -\sqrt{9} + C\left(3!\right) + 3!!$
$\mathbf{933} := -\sqrt{9} + C\left(T\left(3\right)\right) + T\left(3\right)!$
$\mathbf{933} := F\left(\left(\sqrt{9}\right)!\right)!/F\left(F\left(3!\right)\right) - F\left(Q\left(Q\left(F\left(3\right)\right)\right)\right)$
$\mathbf{933} := F\left(9\right) \times 3! + C\left(Q\left(3\right)\right)$
$\mathbf{933} := F\left(9\right) \times T\left(3\right) + C\left(Q\left(3\right)\right)$
$\mathbf{933} := -T\left(\sqrt{9}\right)! + T\left(T\left(F\left(T\left(3\right)\right)\right) + T\left(T\left(3\right)\right)\right)$
$\mathbf{933} := T\left(F\left(T\left(\sqrt{9}\right)\right)\right) + T\left(T\left(T\left(3\right)\right)\right) + T\left(T\left(F\left(T\left(3\right)\right)\right)\right)$
$\mathbf{933} := T\left(T\left(9\right)\right) - Q\left(Q\left(3\right)\right) - T\left(T\left(3\right)\right)$

$\mathbf{934} := \left(\sqrt{9}\right)!! + C\left(3!\right) - \sqrt{4}$
$\mathbf{934} := -C\left(\sqrt{9}\right) + Q\left(C\left(3\right) + 4\right)$
$\mathbf{934} := F\left(9\right) \times C\left(3\right) + Q\left(4\right)$
$\mathbf{934} := F\left(9\right) + 3 \times T\left(4!\right)$
$\mathbf{934} := F\left(9\right) + Q\left(3! + 4!\right)$
$\mathbf{934} := F\left(9\right) + Q\left(3 \times T\left(4\right)\right)$
$\mathbf{934} := -T\left(9\right) - T\left(T\left(3\right)\right) + C\left(T\left(4\right)\right)$
$\mathbf{934} := T\left(F\left(9\right) + 3\right) + T\left(T\left(T\left(F\left(4\right)\right)\right)\right)$
$\mathbf{934} := T\left(T\left(T\left(\sqrt{9}\right)\right)\right) + T\left(T\left(F\left(T\left(3\right)\right)\right) + F\left(\sqrt{4}\right)\right)$
$\mathbf{934} := T\left(T\left(T\left(\sqrt{9}\right)\right)\right) + T\left(T\left(T\left(3\right)\right) + Q\left(4\right)\right)$

$\mathbf{935} := Q\left(9\right) + C\left(Q\left(3\right)\right) + C\left(5\right)$
$\mathbf{935} := Q\left(Q\left(\left(\sqrt{9}\right)!\right)\right) - Q\left(-3! + Q\left(5\right)\right)$
$\mathbf{935} := T\left(C\left(\sqrt{9}\right) - F\left(3\right)\right) + F\left(T\left(5\right)\right)$
$\mathbf{935} := T\left(T\left(9\right)\right) - Q\left(F\left(3\right) \times 5\right)$
$\mathbf{935} := T\left(T\left(9\right)\right) - Q\left(T\left(Q\left(3\right) - 5\right)\right)$

$\mathbf{936} := \left(\sqrt{9}\right)!^3 + 6!$
$\mathbf{936} := \left(9 - 3\right)! + C\left(6\right)$
$\mathbf{936} := \left(F\left(9\right) - F\left(3!\right)\right) \times Q\left(6\right)$
$\mathbf{936} := \left(F\left(9\right) - F\left(T\left(3\right)\right)\right) \times T\left(F\left(6\right)\right)$
$\mathbf{936} := Q\left(Q\left(9\right)\right) - Q\left(Q\left(Q\left(3\right)\right) - 6\right)$
$\mathbf{936} := Q\left(T\left(9\right)\right) - Q\left(-3 + Q\left(6\right)\right)$
$\mathbf{936} := T\left(\sqrt{9}\right)^3 + 6!$

$\mathbf{937} := \left(Q\left(Q\left(9\right)\right) - F\left(3\right)\right)/7$
$\mathbf{937} := -9 + T\left(-T\left(3\right) + Q\left(7\right)\right)$
$\mathbf{937} := C\left(T\left(\sqrt{9}\right)\right) + T\left(C\left(3\right)\right) + C\left(7\right)$
$\mathbf{937} := F\left(9\right) + T\left(7 \times T\left(3\right)\right)$

$\mathbf{938} := F\left(9\right) \times F\left(T\left(3\right)\right) + T\left(T\left(8\right)\right)$
$\mathbf{938} := -F\left(9\right) + C\left(3\right) \times T\left(8\right)$
$\mathbf{938} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) - Q\left(-F\left(F\left(3\right)\right) + 8\right)$
$\mathbf{938} := T\left(T\left(9\right) - F\left(3\right)\right) - 8$

$\mathbf{939} := C\left(9\right) + C\left(3!\right) - \left(\sqrt{9}\right)!$
$\mathbf{939} := -F\left(9\right) + T\left(C\left(3\right)\right) + T\left(F\left(9\right)\right)$
$\mathbf{939} := Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right) + F\left(Q\left(Q\left(F\left(3\right)\right)\right)\right) - Q\left(F\left(\left(\sqrt{9}\right)!\right)\right)$
$\mathbf{939} := T\left(9\right) \times T\left(T\left(3\right)\right) - T\left(\sqrt{9}\right)$

$\mathbf{940} := Q\left(F\left(9\right)\right) - C\left(F\left(4 + 0\right)!\right)$
$\mathbf{940} := Q\left(F\left(9\right)\right) - C\left(T\left(F\left(4 + 0\right)\right)\right)$

$\mathbf{941} := Q\left(F\left(9\right)\right) - C\left(F\left(4\right)!\right) + 1$
$\mathbf{941} := -T\left(9\right) + F\left(Q\left(4\right)\right) - 1$

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$\mathbf{942} := \left(\sqrt{9}\right)!! - F\left(Q\left(F\left(4\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right)$

$\mathbf{942} := -9 + \left(T\left(T\left(\sqrt{4}\right)\right)\right)! + T\left(T\left(T\left(T\left(2\right)\right)\right)\right)$

$\mathbf{942} := F\left(9\right) \times C\left(F\left(4\right)\right) + Q\left(2\right)!$

$\mathbf{942} := Q\left(F\left(9\right)\right) - C\left(F\left(4\right)!\right) + 2$

$\mathbf{942} := T\left(9\right) \times T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - T\left(2\right)$

$\mathbf{942} := -T\left(9\right) + F\left(4^2\right)$

$\mathbf{942} := T\left(C\left(\sqrt{9}\right) - 4\right) + T\left(T\left(C\left(2\right)\right)\right)$

$\mathbf{942} := T\left(T\left(9\right) - \sqrt{4}\right) - Q\left(2\right)$

$\mathbf{943} := -\sqrt{9} + T\left(43\right)$

$\mathbf{943} := C\left(9\right) - \sqrt{4} + C\left(3!\right)$

$\mathbf{943} := -Q\left(9\right) + Q\left(-4 + Q\left(3!\right)\right)$

$\mathbf{943} := -Q\left(9\right) + Q\left(C\left(4\right)/F\left(3\right)\right)$

$\mathbf{943} := -Q\left(9\right) + Q\left(Q\left(4\right) \times F\left(3\right)\right)$

$\mathbf{943} := Q\left(F\left(9\right)\right) - C\left(F\left(4\right)!\right) + 3$

$\mathbf{943} := T\left(9\right) \times T\left(T\left(F\left(4\right)\right)\right) - F\left(3\right)$

$\mathbf{944} := \left(\sqrt{9} + 4\right)! - Q\left(C\left(4\right)\right)$

$\mathbf{944} := C\left(\left(\sqrt{9}\right)!\right) \times \sqrt{4} + \sqrt{C\left(C\left(4\right)\right)}$

$\mathbf{944} := F\left(\left(\sqrt{9}\right)!\right) + C\left(F\left(4\right)!\right) + F\left(4\right)!!$

$\mathbf{944} := -F\left(9\right) + F\left(Q\left(4\right)\right) - Q\left(F\left(4\right)\right)$

$\mathbf{944} := Q\left(F\left(9\right)\right) - C\left(F\left(4\right)!\right) + 4$

$\mathbf{944} := T\left(T\left(9\right)\right) - T\left(F\left(4\right) + T\left(4\right)\right)$

$\mathbf{944} := T\left(T\left(9\right) - \sqrt{4}\right) - \sqrt{4}$

$\mathbf{945} := \left(\sqrt{9}\right)!! + Q\left(5 \times F\left(4\right)\right)$

$\mathbf{945} := \sqrt{9} \times \left(T\left(4!\right) + T\left(5\right)\right)$

$\mathbf{945} := F\left(F\left(\left(\sqrt{9}\right)!\right)\right) \times 45$

$\mathbf{945} := 9 \times F\left(F\left(\left(F\left(4\right)\right)!\right)\right) \times 5$

$\mathbf{945} := C\left(\left(\sqrt{9}\right)!\right) + C\left(4 + 5\right)$

$\mathbf{945} := Q\left(F\left(9\right)\right) - C\left(F\left(4\right)!\right) + 5$

$\mathbf{945} := T\left(9\right) \times \left(Q\left(4\right) + 5\right)$

$\mathbf{945} := T\left(9\right) \times \left(T\left(F\left(4\right)\right) + T\left(5\right)\right)$

$\mathbf{945} := T\left(9\right) \times F\left(F\left(4\right) + 5\right)$

$\mathbf{945} := T\left(9\right) \times T\left(T\left(\sqrt{4 + 5}\right)\right)$

$\mathbf{945} := T\left(9\right) \times T\left(T\left(T\left(T\left(4\right)/5\right)\right)\right)$

$\mathbf{946} := C\left(9\right) + F\left(\sqrt{4}\right) + C\left(6\right)$

$\mathbf{946} := Q\left(F\left(\left(\sqrt{9}\right)!\right)\right) + \sqrt{4} \times Q\left(F\left(F\left(6\right)\right)\right)$

$\mathbf{946} := Q\left(F\left(9\right)\right) - C\left(F\left(4\right)!\right) + 6$

$\mathbf{946} := T\left(T\left(9\right) + 4 - 6\right)$

$\mathbf{947} := \left(\sqrt{9}\right)!! - \left(F\left(4\right)\right)! + F\left(F\left(7\right)\right)$

$\mathbf{947} := \sqrt{9} - Q\left(C\left(4\right)\right) + 7!$

$\mathbf{947} := 9 + F\left(Q\left(4\right)\right) - Q\left(7\right)$

$\mathbf{947} := F\left(9\right) \times F\left(F\left(\left(F\left(4\right)\right)!\right)\right) + F\left(F\left(7\right)\right)$

$\mathbf{947} := -Q\left(9\right) + C\left(T\left(4\right)\right) + T\left(7\right)$

$\mathbf{947} := Q\left(F\left(9\right)\right) - C\left(F\left(4\right)!\right) + 7$

$\mathbf{947} := Q\left(F\left(9\right)\right) - T\left(4!\right) + T\left(F\left(7\right)\right)$

$\mathbf{947} := Q\left(Q\left(T\left(\sqrt{9}\right)\right)\right) - T\left(4!\right) - Q\left(7\right)$

$\mathbf{947} := T\left(F\left(9\right)\right) + Q\left(F\left(4\right)\right) + C\left(7\right)$

$\mathbf{947} := T\left(T\left(9\right)\right) + F\left(4\right) - T\left(F\left(7\right)\right)$

$\mathbf{948} := \sqrt{9} + Q\left(T\left(T\left(4\right)\right)\right) - T\left(Q\left(8\right)\right)$

$\mathbf{948} := C\left(9\right) + T\left(\sqrt{4}\right) + C\left(\sqrt{T\left(8\right)}\right)$

$\mathbf{948} := F\left(\sqrt{9}\right) + T\left(C\left(4\right) - F\left(8\right)\right)$

$\mathbf{948} := Q\left(F\left(9\right)\right) - C\left(F\left(4\right)!\right) + 8$

$\mathbf{948} := Q\left(F\left(9\right)\right) - F\left(4\right)!! + C\left(8\right)$

$\mathbf{948} := T\left(9\right) + T\left(\sqrt{4} \times F\left(8\right)\right)$

$\mathbf{948} := T\left(9\right) + T\left(\sqrt{4} \times T\left(\sqrt{T\left(8\right)}\right)\right)$

$\mathbf{948} := T\left(9\right) + T\left(F\left(F\left(4\right)\right) \times F\left(8\right)\right)$

$\mathbf{948} := T\left(C\left(\sqrt{9}\right)\right) + Q\left(4!\right) - \sqrt{T\left(8\right)}$

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$$\mathbf{948} := T\left(T\left(T\left(\sqrt{9}\right)\right)\right) - T\left(\sqrt{4}\right) + \left(\sqrt{T\left(8\right)}\right)!$$

$$\mathbf{949} := \left(\sqrt{9}\right)!! + Q\left(Q\left(4\right)\right) - C\left(\sqrt{9}\right)$$
$$\mathbf{949} := C\left(\left(\sqrt{9}\right)!\right) + 4 + C\left(9\right)$$
$$\mathbf{949} := -F\left(9\right) + F\left(Q\left(4\right)\right) - Q\left(F\left(\sqrt{9}\right)\right)$$
$$\mathbf{949} := Q\left(F\left(9\right)\right) - C\left(F\left(4\right)!\right) + 9$$
$$\mathbf{949} := T\left(T\left(9\right) - \sqrt{4}\right) + \sqrt{9}$$

$$\mathbf{950} := C\left(T\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) - 50$$

$$\mathbf{951} := -Q\left(\left(\sqrt{9}\right)!\right) + F\left(Q\left(5 - 1\right)\right)$$
$$\mathbf{951} := T\left(\sqrt{9}\right)! + T\left(T\left(5 + 1\right)\right)$$
$$\mathbf{951} := -T\left(F\left(T\left(\sqrt{9}\right)\right)\right) + F\left(T\left(5\right) + 1\right)$$

$$\mathbf{952} := \left(-\left(\sqrt{9}\right)! + C\left(5\right)\right) \times C\left(2\right)$$
$$\mathbf{952} := \left(-T\left(\sqrt{9}\right) + C\left(5\right)\right) \times C\left(2\right)$$
$$\mathbf{952} := -9 + Q\left(T\left(5\right) + Q\left(Q\left(2\right)\right)\right)$$
$$\mathbf{952} := C\left(9\right) + Q\left(T\left(5\right)\right) - 2$$
$$\mathbf{952} := F\left(\left(\sqrt{9}\right)!\right) \times \left(5! - F\left(2\right)\right)$$
$$\mathbf{952} := F\left(9\right) \times \left(Q\left(5\right) + F\left(Q\left(2\right)\right)\right)$$
$$\mathbf{952} := F\left(9\right) \times T\left(5 + 2\right)$$

$$\mathbf{953} := \left(\sqrt{9}\right)!! + F\left(F\left(5 + F\left(3\right)\right)\right)$$
$$\mathbf{953} := C\left(\sqrt{9} + 5\right) + Q\left(T\left(T\left(3\right)\right)\right)$$
$$\mathbf{953} := C\left(T\left(\sqrt{9}\right) + 5\right) - T\left(C\left(3\right)\right)$$
$$\mathbf{953} := -F\left(9\right) + F\left(-5 + F\left(F\left(3!\right)\right)\right)$$
$$\mathbf{953} := -F\left(9\right) + F\left(Q\left(5\right) - Q\left(3\right)\right)$$
$$\mathbf{953} := -F\left(9\right) + F\left(T\left(5\right) + F\left(F\left(3\right)\right)\right)$$
$$\mathbf{953} := T\left(\sqrt{9}\right)! + F\left(T\left(5\right) - F\left(3\right)\right)$$

$$\mathbf{954} := -\left(\sqrt{9}\right)! + 5! \times \sqrt{C\left(4\right)}$$
$$\mathbf{954} := \left(F\left(9\right) + C\left(5\right)\right) \times F\left(4\right)!$$
$$\mathbf{954} := \left(Q\left(9\right) + Q\left(5\right)\right) \times Q\left(F\left(4\right)\right)$$
$$\mathbf{954} := C\left(9\right) + Q\left(5 \times F\left(4\right)\right)$$
$$\mathbf{954} := C\left(9\right) + T\left(5\right)^{\sqrt{4}}$$
$$\mathbf{954} := F\left(\left(\sqrt{9}\right)!\right) \times 5! - \left(F\left(4\right)\right)!$$
$$\mathbf{954} := F\left(T\left(\sqrt{9}\right)\right) \times 5! - T\left(F\left(4\right)\right)$$
$$\mathbf{954} := F\left(T\left(\sqrt{9}\right)\right) \times T\left(T\left(5\right)\right) - T\left(F\left(4\right)\right)$$
$$\mathbf{954} := T\left(T\left(9\right)\right) - Q\left(5 + 4\right)$$

$$\mathbf{955} := \left(-F\left(9\right) + Q\left(T\left(5\right)\right)\right) \times 5$$
$$\mathbf{955} := 9 \times 5! - C\left(5\right)$$
$$\mathbf{955} := F\left(\left(\sqrt{9}\right)!\right) \times 5! - 5$$
$$\mathbf{955} := F\left(T\left(\sqrt{9}\right)\right) \times 5! - 5$$
$$\mathbf{955} := F\left(T\left(\sqrt{9}\right)\right) \times T\left(T\left(5\right)\right) - 5$$

$$\mathbf{956} := F\left(T\left(T\left(\sqrt{9}\right)\right)\right) - T\left(5\right) \times T\left(T\left(F\left(6\right)\right)\right)$$
$$\mathbf{956} := Q\left(F\left(9\right)\right) - Q\left(5\right) \times F\left(6\right)$$
$$\mathbf{956} := T\left(\sqrt{9}\right)! + 5 + T\left(T\left(6\right)\right)$$

$$\mathbf{957} := C\left(9\right) - 5 + F\left(F\left(7\right)\right)$$
$$\mathbf{957} := T\left(T\left(9\right)\right) - T\left(5 + 7\right)$$

$$\mathbf{958} := -\sqrt{9} + Q\left(-5 + T\left(8\right)\right)$$
$$\mathbf{958} := -F\left(\sqrt{9}\right) + 5! \times 8$$
$$\mathbf{958} := -F\left(\sqrt{9}\right) + T\left(T\left(5\right)\right) \times 8$$

$$\mathbf{959} := F\left(\left(\sqrt{9}\right)!\right) \times 5! - F\left(F\left(\sqrt{9}\right)\right)$$
$$\mathbf{959} := -F\left(\sqrt{9}\right) + Q\left(Q\left(5\right) + \left(\sqrt{9}\right)!\right)$$

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$$\mathbf{959} := F\left(T\left(\sqrt{9}\right)\right) \times 5! - F\left(F\left(\sqrt{9}\right)\right)$$
$$\mathbf{959} := F\left(T\left(\sqrt{9}\right)\right) \times T\left(T\left(5\right)\right) - F\left(F\left(\sqrt{9}\right)\right)$$
$$\mathbf{959} := T\left(T\left(9\right)\right) + \left(5 - Q\left(9\right)\right)$$

$$\mathbf{960} := C\left(9\right) + T\left(T\left(6\right)\right) + 0$$
$$\mathbf{960} := F\left(\left(\sqrt{9}\right)!\right) \times \left(6 - 0!\right)!$$
$$\mathbf{960} := F\left(T\left(\sqrt{9}\right)\right) \times \left(6 - 0!\right)!$$

$$\mathbf{961} := C\left(9\right) + T\left(T\left(6\right)\right) + 1$$
$$\mathbf{961} := Q\left(\left(\sqrt{9}\right)! + Q\left(6 - 1\right)\right)$$
$$\mathbf{961} := Q\left(\sqrt{9} + T\left(6 + 1\right)\right)$$
$$\mathbf{961} := Q\left(F\left(9\right) - \sqrt{F\left(6\right) + 1}\right)$$

$$\mathbf{962} := C\left(9\right) + F\left(F\left(6 + F\left(2\right)\right)\right)$$
$$\mathbf{962} := C\left(9\right) + F\left(F\left(F\left(6\right) - F\left(2\right)\right)\right)$$
$$\mathbf{962} := C\left(9\right) + F\left(T\left(6\right) - C\left(2\right)\right)$$
$$\mathbf{962} := C\left(9\right) + T\left(T\left(6\right)\right) + 2$$
$$\mathbf{962} := -Q\left(-\sqrt{9} + F\left(6\right)\right) + F\left(Q\left(Q\left(2\right)\right)\right)$$
$$\mathbf{962} := T\left(Q\left(9\right)\right) + T\left(Q\left(6\right)\right) - Q\left(T\left(T\left(Q\left(2\right)\right)\right)\right)$$
$$\mathbf{962} := T\left(T\left(9\right)\right) - Q\left(F\left(6\right)\right) - Q\left(T\left(2\right)\right)$$

$$\mathbf{963} := \sqrt{C\left(9\right)} + 6! + C\left(3!\right)$$
$$\mathbf{963} := -9 + Q\left(6\right) \times C\left(3\right)$$
$$\mathbf{963} := C\left(9\right) + T\left(T\left(6\right)\right) + 3$$
$$\mathbf{963} := F\left(\sqrt{9}\right) \times Q\left(F\left(F\left(6\right)\right)\right) + Q\left(Q\left(3\right)\right)$$
$$\mathbf{963} := T\left(T\left(9\right)\right) - C\left(6\right)/3$$
$$\mathbf{963} := T\left(T\left(9\right)\right) - Q\left(6\right) \times F\left(3\right)$$
$$\mathbf{963} := T\left(T\left(9\right)\right) - Q\left(6\right) - Q\left(T\left(3\right)\right)$$
$$\mathbf{963} := T\left(T\left(9\right)\right) - T\left(F\left(6\right)\right) \times F\left(3\right)$$

$$\mathbf{964} := \sqrt{9} + Q\left(T\left(6\right) + T\left(4\right)\right)$$
$$\mathbf{964} := C\left(\sqrt{9}\right) \times Q\left(6\right) - \sqrt{C\left(4\right)}$$
$$\mathbf{964} := C\left(9\right) + T\left(T\left(6\right)\right) + 4$$
$$\mathbf{964} := -F\left(\sqrt{9}\right) + T\left(T\left(F\left(6\right)\right)\right) + T\left(4!\right)$$
$$\mathbf{964} := Q\left(F\left(9\right)\right) - F\left(6\right) \times 4!$$

$$\mathbf{965} := C\left(9\right) + T\left(T\left(6\right)\right) + 5$$
$$\mathbf{965} := Q\left(F\left(\sqrt{9}\right)\right) + Q\left(Q\left(6\right) - 5\right)$$
$$\mathbf{965} := Q\left(F\left(9\right)\right) - C\left(6\right) + Q\left(5\right)$$
$$\mathbf{965} := -T\left(\sqrt{9}\right) + Q\left(Q\left(6\right)\right) - T\left(Q\left(5\right)\right)$$

$$\mathbf{966} := \sqrt{Q\left(\left(\sqrt{9}\right)!\right) + 6! \times Q\left(Q\left(6\right)\right)}$$
$$\mathbf{966} := C\left(\sqrt{9}\right) \times Q\left(6\right) - 6$$
$$\mathbf{966} := C\left(9\right) + F\left(F\left(6\right)\right) + C\left(6\right)$$
$$\mathbf{966} := C\left(9\right) + T\left(6\right) + C\left(6\right)$$
$$\mathbf{966} := C\left(9\right) + T\left(T\left(6\right)\right) + 6$$
$$\mathbf{966} := F\left(F\left(\sqrt{9}\right) \times F\left(6\right)\right) - F\left(F\left(6\right)\right)$$
$$\mathbf{966} := T\left(9\right) \times T\left(6\right) + T\left(6\right)$$

$$\mathbf{967} := C\left(9\right) + T\left(T\left(6\right)\right) + 7$$
$$\mathbf{967} := -C\left(F\left(9\right)\right) + F\left(6\right)! - Q\left(7\right)$$
$$\mathbf{967} := T\left(T\left(\sqrt{9}\right)\right) + T\left(-6 + Q\left(7\right)\right)$$
$$\mathbf{967} := T\left(T\left(\sqrt{9}\right)\right) + T\left(T\left(F\left(6\right)\right) + 7\right)$$

$$\mathbf{968} := Q\left(\sqrt{9} + F\left(6\right)\right) \times 8$$
$$\mathbf{968} := Q\left(T\left(T\left(T\left(\sqrt{9}\right)\right)\right)/T\left(6\right)\right) \times 8$$
$$\mathbf{968} := C\left(9\right) + T\left(T\left(6\right)\right) + 8$$

$$\mathbf{969} := C\left(9\right) + 6!/\sqrt{9}$$
$$\mathbf{969} := C\left(9\right) + T\left(T\left(6\right)\right) + 9$$
$$\mathbf{969} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) - 6 \times \sqrt{9}$$

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$\mathbf{969} := T\left(T\left(9\right)\right) - T\left(6\right) - T\left(9\right)$

$\mathbf{970} := -\left(Q\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) - T\left(Q\left(7\right)\right) - 0!\right)$

$\mathbf{971} := T\left(T\left(9\right)\right) - Q\left(7+1\right)$

$\mathbf{972} := 9 \times T\left(7\right) + \left(T\left(T\left(2\right)\right)\right)!$
$\mathbf{972} := C\left(\sqrt{9}\right) \times \left(T\left(7\right) + C\left(2\right)\right)$
$\mathbf{972} := C\left(\sqrt{9}\right) \times Q\left(\left(\sqrt{7+2}\right)!\right)$
$\mathbf{972} := Q\left(9\right) \times \left(F\left(7\right) - F\left(2\right)\right)$
$\mathbf{972} := T\left(F\left(9\right)\right) + F\left(7 \times 2\right)$
$\mathbf{972} := T\left(T\left(9\right)\right) - 7 \times Q\left(T\left(2\right)\right)$
$\mathbf{972} := T\left(T\left(9\right) - 7\right) + T\left(T\left(T\left(T\left(2\right)\right)\right)\right)$

$\mathbf{973} := -7 \times F\left(\sqrt{9}\right) + F\left(Q\left(Q\left(F\left(3\right)\right)\right)\right)$
$\mathbf{973} := C\left(\sqrt{9}\right) + T\left(Q\left(7\right) - T\left(3\right)\right)$
$\mathbf{973} := C\left(\sqrt{9}+7\right) - C\left(3\right)$
$\mathbf{973} := C\left(9\right) + T\left(7\right) + C\left(T\left(3\right)\right)$
$\mathbf{973} := F\left(9\right) \times T\left(7\right) + T\left(T\left(3\right)\right)$
$\mathbf{973} := T\left(\sqrt{9}\right)! + T\left(T\left(7\right) - T\left(3\right)\right)$
$\mathbf{973} := T\left(9 + F\left(7\right)\right) + \left(T\left(3\right)\right)!$

$\mathbf{974} := \left(\left(\sqrt{9}\right)!! - F\left(F\left(7\right)\right)\right) \times \sqrt{4}$
$\mathbf{974} := -\left(\sqrt{9}\right)! - 7 + F\left(Q\left(4\right)\right)$
$\mathbf{974} := \left(Q\left(9\right) + T\left(T\left(7\right)\right)\right) \times \sqrt{4}$
$\mathbf{974} := \sqrt{9} \times C\left(7\right) - T\left(T\left(4\right)\right)$
$\mathbf{974} := -F\left(9\right) + T\left(7\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right)$
$\mathbf{974} := T\left(F\left(9\right)\right) + T\left(T\left(7\right)\right) - C\left(F\left(4\right)\right)$
$\mathbf{974} := T\left(T\left(\sqrt{9}\right)\right) + F\left(F\left(7\right)\right) + T\left(F\left(4\right)\right)!$

$\mathbf{975} := \sqrt{9} \times F\left(7\right) \times Q\left(5\right)$
$\mathbf{975} := C\left(F\left(\left(\sqrt{9}\right)!\right)\right) + C\left(7\right) + 5!$
$\mathbf{975} := Q\left(-9 + Q\left(7\right)\right) - Q\left(Q\left(5\right)\right)$
$\mathbf{975} := T\left(9-7\right) \times T\left(Q\left(5\right)\right)$
$\mathbf{975} := T\left(C\left(\sqrt{9}\right)\right) - F\left(7\right) + F\left(T\left(5\right)\right)$

$\mathbf{976} := C\left(F\left(T\left(\sqrt{9}\right)\right)\right) + F\left(F\left(7\right)\right) + T\left(T\left(6\right)\right)$
$\mathbf{976} := Q\left(9+7\right) + 6!$

$\mathbf{977} := -F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) - F\left(F\left(7\right)\right) + C\left(F\left(7\right)\right)$
$\mathbf{977} := T\left(T\left(9\right)\right) - T\left(T\left(7\right)\right)/7$

$\mathbf{978} := F\left(\sqrt{9}\right) \times F\left(F\left(7\right)\right) + C\left(8\right)$
$\mathbf{978} := F\left(9\right) + 7! - Q\left(Q\left(8\right)\right)$
$\mathbf{978} := T\left(T\left(9\right)\right) - Q\left(7\right) - 8$

$\mathbf{979} := C\left(\sqrt{9}\right) + T\left(7\right) \times F\left(9\right)$
$\mathbf{979} := C\left(\sqrt{9}+7\right) - T\left(T\left(\sqrt{9}\right)\right)$
$\mathbf{979} := -F\left(\sqrt{9}\right) \times T\left(7\right) + T\left(T\left(9\right)\right)$
$\mathbf{979} := F\left(9+7\right) - F\left(\left(\sqrt{9}\right)!\right)$
$\mathbf{979} := Q\left(9\right) + Q\left(F\left(7\right)\right) + C\left(9\right)$
$\mathbf{979} := Q\left(Q\left(9\right) - Q\left(7\right)\right) - T\left(9\right)$
$\mathbf{979} := Q\left(T\left(9\right) - F\left(7\right)\right) - T\left(9\right)$
$\mathbf{979} := T\left(T\left(T\left(\sqrt{9}\right)\right)\right) + T\left(7\right) + T\left(\sqrt{9}\right)!$

$\mathbf{980} := C\left(T\left(T\left(\sqrt{9}\right)\right)\right) - Q\left(T\left(F\left(8 - 0!\right)\right)\right)$
$\mathbf{980} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) - 8 + 0!$

$\mathbf{981} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) - \left(\sqrt{8+1}\right)!$
$\mathbf{981} := -T\left(T\left(9\right)\right) + T\left(Q\left(8\right) - 1\right)$

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$$\mathbf{982} := \left(T\left(T\left(\sqrt{9}\right)\right) - C\left(8\right)\right) \times \left(-2\right)$$
$$\mathbf{982} := \sqrt{9} - 8 + F\left(Q\left(Q\left(2\right)\right)\right)$$
$$\mathbf{982} := C\left(\sqrt{9}\right) \times T\left(8\right) + T\left(Q\left(2\right)\right)$$
$$\mathbf{982} := C\left(9\right) + T\left(F\left(8\right) + F\left(2\right)\right)$$
$$\mathbf{982} := F\left(\sqrt{9}\right) \times \left(C\left(8\right) - F\left(C\left(2\right)\right)\right)$$
$$\mathbf{982} := -F\left(T\left(\sqrt{9}\right)\right) + T\left(T\left(8\right) + F\left(T\left(T\left(2\right)\right)\right)\right)$$
$$\mathbf{982} := T\left(\sqrt{9}\right) + \left(\sqrt{T\left(8\right)}\right)! + Q\left(Q\left(Q\left(2\right)\right)\right)$$
$$\mathbf{982} := T\left(T\left(\sqrt{9}\right)\right) + Q\left(F\left(8\right) + T\left(Q\left(2\right)\right)\right)$$

$$\mathbf{983} := F\left(F\left(\sqrt{9}\right) \times 8\right) - Q\left(F\left(3\right)\right)$$

$$\mathbf{984} := \left(\sqrt{9}\right)!! + 8 + Q\left(Q\left(4\right)\right)$$
$$\mathbf{984} := -\sqrt{9} + F\left(8 \times \sqrt{4}\right)$$
$$\mathbf{984} := -\sqrt{9} + F\left(Q\left(8 - 4\right)\right)$$
$$\mathbf{984} := Q\left(9\right) + T\left(F\left(8\right) \times \sqrt{4}\right)$$
$$\mathbf{984} := T\left(\sqrt{9}\right)! - T\left(8\right) + T\left(4!\right)$$
$$\mathbf{984} := T\left(\sqrt{9}\right) \times \left(Q\left(8\right) + Q\left(T\left(4\right)\right)\right)$$
$$\mathbf{984} := T\left(Q\left(9\right)\right) \times Q\left(Q\left(8\right)\right) / C\left(4!\right)$$

$$\mathbf{985} := \left(-F\left(9\right) + T\left(F\left(8\right)\right)\right) \times 5$$
$$\mathbf{985} := 8 \times T\left(9\right) + Q\left(Q\left(5\right)\right)$$
$$\mathbf{985} := C\left(9\right) + Q\left(F\left(8\right) - 5\right)$$
$$\mathbf{985} := -F\left(\sqrt{9}\right) + F\left(F\left(8\right) - 5\right)$$
$$\mathbf{985} := -Q\left(9\right) + Q\left(F\left(8\right)\right) + Q\left(Q\left(5\right)\right)$$

$$\mathbf{986} := F\left(9\right) \times \left(8 + T\left(6\right)\right)$$
$$\mathbf{986} := F\left(9\right) \times \left(F\left(8\right) + F\left(6\right)\right)$$

$$\mathbf{987} := F\left(9!/8! + 7\right)$$
$$\mathbf{987} := F\left(F\left(\sqrt{9}\right) \times \left(F\left(8\right) - F\left(7\right)\right)\right)$$
$$\mathbf{987} := F\left(T\left(9\right) - T\left(8\right) + 7\right)$$
$$\mathbf{987} := -T\left(T\left(\sqrt{9}\right)\right) + T\left(8\right) \times T\left(7\right)$$

$$\mathbf{988} := F\left(\sqrt{9}\right) \times C\left(8\right) - T\left(8\right)$$
$$\mathbf{988} := -F\left(\sqrt{9}\right) + T\left(8 + T\left(8\right)\right)$$
$$\mathbf{988} := F\left(F\left(\sqrt{9}\right)\right) + F\left(8 + 8\right)$$
$$\mathbf{988} := -Q\left(\left(\sqrt{9}\right)!\right) + C\left(8\right) + C\left(8\right)$$
$$\mathbf{988} := Q\left(F\left(9\right)\right) - 8 \times F\left(8\right)$$
$$\mathbf{988} := -Q\left(T\left(\sqrt{9}\right)\right) + C\left(8\right) + C\left(8\right)$$

$$\mathbf{989} := -C\left(\sqrt{9}\right) + 8! - C\left(F\left(9\right)\right)$$
$$\mathbf{989} := -C\left(F\left(9\right)\right) + 8! - C\left(\sqrt{9}\right)$$
$$\mathbf{989} := F\left(\sqrt{9}\right) + F\left(8 \times F\left(\sqrt{9}\right)\right)$$
$$\mathbf{989} := Q\left(T\left(9\right)\right) - Q\left(F\left(8\right)\right) - T\left(F\left(9\right)\right)$$
$$\mathbf{989} := T\left(T\left(9\right)\right) - \sqrt{T\left(Q\left(8\right)\right) + Q\left(T\left(\sqrt{9}\right)\right)}$$

$$\mathbf{990} := \sqrt{9} + F\left(Q\left(\sqrt{9} + 0!\right)\right)$$
$$\mathbf{990} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 0$$
$$\mathbf{990} := T\left(T\left(9\right)\right) - T\left(9\right) + 0$$

$$\mathbf{991} := -9 + C\left(9 + 1\right)$$
$$\mathbf{991} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 1$$
$$\mathbf{991} := Q\left(F\left(\sqrt{9}\right)\right) + F\left(Q\left(\sqrt{9} + 1\right)\right)$$
$$\mathbf{991} := T\left(T\left(9\right)\right) - T\left(9\right) + 1$$

$$\mathbf{992} := \left(\sqrt{9}\right)!! + F\left(9\right) \times C\left(2\right)$$
$$\mathbf{992} := \sqrt{F\left(9\right) - 9} + F\left(Q\left(Q\left(2\right)\right)\right)$$

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$$\mathbf{992} := F\left(\sqrt{9}\right) + T\left(T\left(9\right) - F\left(2\right)\right)$$
$$\mathbf{992} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 2$$
$$\mathbf{992} := T\left(T\left(9\right)\right) - T\left(9\right) + 2$$

$$\mathbf{993} := \left(\sqrt{9}\right)! + F\left(F\left(\sqrt{9}\right) \times C\left(F\left(3\right)\right)\right)$$
$$\mathbf{993} := \left(\sqrt{9}\right)! + F\left(F\left(\sqrt{9}\right) \times F\left(3!\right)\right)$$
$$\mathbf{993} := \left(\sqrt{9}\right)! + F\left(F\left(\sqrt{9}\right)^{Q(F(3))}\right)$$
$$\mathbf{993} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 3$$
$$\mathbf{993} := T\left(T\left(9\right)\right) - T\left(9\right) + 3$$

$$\mathbf{994} := -\left(\sqrt{9}\right)! + C\left(\left(\sqrt{9}\right)! + 4\right)$$
$$\mathbf{994} := -\left(\sqrt{9}\right)! + C\left(F\left(9\right) - 4!\right)$$
$$\mathbf{994} := 9 + C\left(9\right) + Q\left(Q\left(4\right)\right)$$
$$\mathbf{994} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 4$$
$$\mathbf{994} := Q\left(F\left(9\right)\right) - Q\left(9\right) \times \sqrt{4}$$
$$\mathbf{994} := T\left(T\left(9\right)\right) - T\left(9\right) + 4$$

$$\mathbf{995} := C\left(F\left(\sqrt{9}\right) + F\left(\left(\sqrt{9}\right)!\right)\right) - 5$$
$$\mathbf{995} := F\left(\left(\sqrt{9}\right)!\right) + F\left(F\left(F\left(\left(\sqrt{9}\right)!\right)\right) - 5\right)$$
$$\mathbf{995} := F\left(\left(\sqrt{9}\right)!\right) + F\left(Q\left(9 - 5\right)\right)$$
$$\mathbf{995} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 5$$
$$\mathbf{995} := T\left(T\left(9\right)\right) - T\left(9\right) + 5$$

$$\mathbf{996} := 9 + F\left(F\left(\sqrt{9}\right) \times F\left(6\right)\right)$$
$$\mathbf{996} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 6$$
$$\mathbf{996} := T\left(T\left(9\right)\right) - \sqrt{9} - Q\left(6\right)$$
$$\mathbf{996} := T\left(T\left(9\right)\right) - T\left(9\right) + 6$$

$$\mathbf{997} := -\sqrt{9} + C\left(\sqrt{9} + 7\right)$$
$$\mathbf{997} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 7$$
$$\mathbf{997} := Q\left(\left(\sqrt{9}\right)!\right) + Q\left(Q\left(F\left(\sqrt{9}\right)\right)! + 7\right)$$
$$\mathbf{997} := T\left(9\right) + F\left(9\right) \times T\left(7\right)$$
$$\mathbf{997} := T\left(T\left(9\right)\right) - T\left(9\right) + 7$$

$$\mathbf{998} := \left(\sqrt{9}\right)! \times Q\left(9\right) + C\left(8\right)$$
$$\mathbf{998} := -F\left(\sqrt{9}\right) + C\left(F\left(\sqrt{9}\right) + 8\right)$$
$$\mathbf{998} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 8$$
$$\mathbf{998} := T\left(T\left(9\right)\right) - T\left(9\right) + 8$$

$$\mathbf{999} := -C\left(9\right) + C\left(\sqrt{9} + 9\right)$$
$$\mathbf{999} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 9$$
$$\mathbf{999} := T\left(T\left(9\right)\right) - T\left(9\right) + 9$$

3 Sequential Representations

The above section give results according increasing order of numbers, where we have multiple representation in many of these numbers. This is due to the fact that we have uses simultaneously many functions and operations. Below are representations in sequential or pattern way. Even though these numbers are already included in above representations, but below are given again to have beauty in representations.

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$\mathbf{100} := Q(10) + 0$
$\mathbf{101} := Q(10) + 1$
$\mathbf{102} := Q(10) + 2$
$\mathbf{103} := Q(10) + 3$
$\mathbf{104} := Q(10) + 4$
$\mathbf{105} := Q(10) + 5$
$\mathbf{106} := Q(10) + 6$
$\mathbf{107} := Q(10) + 7$
$\mathbf{108} := Q(10) + 8$
$\mathbf{109} := Q(10) + 9$

$\mathbf{120} := (1 + Q(2))! + 0$
$\mathbf{121} := (1 + Q(2))! + 1$
$\mathbf{122} := (1 + Q(2))! + 2$
$\mathbf{123} := (1 + Q(2))! + 3$
$\mathbf{124} := (1 + Q(2))! + 4$
$\mathbf{125} := (1 + Q(2))! + 5$
$\mathbf{126} := (1 + Q(2))! + 6$
$\mathbf{127} := (1 + Q(2))! + 7$
$\mathbf{128} := (1 + Q(2))! + 8$
$\mathbf{129} := (1 + Q(2))! + 9$

$\mathbf{120} := T(T(-1 + T(T(2)))) + 0$
$\mathbf{121} := T(T(-1 + T(T(2)))) + 1$
$\mathbf{122} := T(T(-1 + T(T(2)))) + 2$
$\mathbf{123} := T(T(-1 + T(T(2)))) + 3$
$\mathbf{124} := T(T(-1 + T(T(2)))) + 4$
$\mathbf{125} := T(T(-1 + T(T(2)))) + 5$
$\mathbf{126} := T(T(-1 + T(T(2)))) + 6$
$\mathbf{127} := T(T(-1 + T(T(2)))) + 7$
$\mathbf{128} := T(T(-1 + T(T(2)))) + 8$
$\mathbf{129} := T(T(-1 + T(T(2)))) + 9$

$\mathbf{170} := 1 + Q(F(7)) + 0$
$\mathbf{171} := 1 + Q(F(7)) + 1$
$\mathbf{172} := 1 + Q(F(7)) + 2$
$\mathbf{173} := 1 + Q(F(7)) + 3$
$\mathbf{174} := 1 + Q(F(7)) + 4$
$\mathbf{175} := 1 + Q(F(7)) + 5$
$\mathbf{176} := 1 + Q(F(7)) + 6$
$\mathbf{177} := 1 + Q(F(7)) + 7$
$\mathbf{178} := 1 + Q(F(7)) + 8$
$\mathbf{179} := 1 + Q(F(7)) + 9$

$\mathbf{190} := T(19) + 0$
$\mathbf{191} := T(19) + 1$
$\mathbf{192} := T(19) + 2$
$\mathbf{193} := T(19) + 3$
$\mathbf{194} := T(19) + 4$
$\mathbf{195} := T(19) + 5$
$\mathbf{196} := T(19) + 6$
$\mathbf{197} := T(19) + 7$
$\mathbf{198} := T(19) + 8$
$\mathbf{199} := T(19) + 9$

$\mathbf{210} := T(T(T(T(2))) - 1) + 0$
$\mathbf{211} := T(T(T(T(2))) - 1) + 1$
$\mathbf{212} := T(T(T(T(2))) - 1) + 2$
$\mathbf{213} := T(T(T(T(2))) - 1) + 3$
$\mathbf{214} := T(T(T(T(2))) - 1) + 4$
$\mathbf{215} := T(T(T(T(2))) - 1) + 5$
$\mathbf{216} := T(T(T(T(2))) - 1) + 6$
$\mathbf{217} := T(T(T(T(2))) - 1) + 7$
$\mathbf{218} := T(T(T(T(2))) - 1) + 8$
$\mathbf{219} := T(T(T(T(2))) - 1) + 9$

$\mathbf{210} := T(F(C(2)) - 1) + 0$
$\mathbf{211} := T(F(C(2)) - 1) + 1$

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$\mathbf{212} := T\left(F\left(C\left(2\right)\right)-1\right)+2$
$\mathbf{213} := T\left(F\left(C\left(2\right)\right)-1\right)+3$
$\mathbf{214} := T\left(F\left(C\left(2\right)\right)-1\right)+4$
$\mathbf{215} := T\left(F\left(C\left(2\right)\right)-1\right)+5$
$\mathbf{216} := T\left(F\left(C\left(2\right)\right)-1\right)+6$
$\mathbf{217} := T\left(F\left(C\left(2\right)\right)-1\right)+7$
$\mathbf{218} := T\left(F\left(C\left(2\right)\right)-1\right)+8$
$\mathbf{219} := T\left(F\left(C\left(2\right)\right)-1\right)+9$

$\mathbf{230} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+0$
$\mathbf{231} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+1$
$\mathbf{232} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+2$
$\mathbf{233} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+3$
$\mathbf{234} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+4$
$\mathbf{235} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+5$
$\mathbf{236} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+6$
$\mathbf{237} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+7$
$\mathbf{238} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+8$
$\mathbf{239} := -F\left(2\right)+T\left(T\left(T\left(3\right)\right)\right)+9$

$\mathbf{240} := C\left(T\left(T\left(2\right)\right)\right)+4!+0$
$\mathbf{241} := C\left(T\left(T\left(2\right)\right)\right)+4!+1$
$\mathbf{242} := C\left(T\left(T\left(2\right)\right)\right)+4!+2$
$\mathbf{243} := C\left(T\left(T\left(2\right)\right)\right)+4!+3$
$\mathbf{244} := C\left(T\left(T\left(2\right)\right)\right)+4!+4$
$\mathbf{245} := C\left(T\left(T\left(2\right)\right)\right)+4!+5$
$\mathbf{246} := C\left(T\left(T\left(2\right)\right)\right)+4!+6$
$\mathbf{247} := C\left(T\left(T\left(2\right)\right)\right)+4!+7$
$\mathbf{248} := C\left(T\left(T\left(2\right)\right)\right)+4!+8$
$\mathbf{249} := C\left(T\left(T\left(2\right)\right)\right)+4!+9$

$\mathbf{240} := T\left(T\left(2\right)\right)!/F\left(4\right)+0$
$\mathbf{241} := T\left(T\left(2\right)\right)!/F\left(4\right)+1$
$\mathbf{242} := T\left(T\left(2\right)\right)!/F\left(4\right)+2$
$\mathbf{243} := T\left(T\left(2\right)\right)!/F\left(4\right)+3$
$\mathbf{244} := T\left(T\left(2\right)\right)!/F\left(4\right)+4$
$\mathbf{245} := T\left(T\left(2\right)\right)!/F\left(4\right)+5$
$\mathbf{246} := T\left(T\left(2\right)\right)!/F\left(4\right)+6$
$\mathbf{247} := T\left(T\left(2\right)\right)!/F\left(4\right)+7$
$\mathbf{248} := T\left(T\left(2\right)\right)!/F\left(4\right)+8$
$\mathbf{249} := T\left(T\left(2\right)\right)!/F\left(4\right)+9$

$\mathbf{240} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+0$
$\mathbf{241} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+1$
$\mathbf{242} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+2$
$\mathbf{243} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+3$
$\mathbf{244} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+4$
$\mathbf{245} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+5$
$\mathbf{246} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+6$
$\mathbf{247} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+7$
$\mathbf{248} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+8$
$\mathbf{249} := -Q\left(Q\left(2\right)\right)+Q\left(Q\left(4\right)\right)+9$

$\mathbf{240} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+0$
$\mathbf{241} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+1$
$\mathbf{242} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+2$
$\mathbf{243} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+3$
$\mathbf{244} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+4$
$\mathbf{245} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+5$
$\mathbf{246} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+6$
$\mathbf{247} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+7$
$\mathbf{248} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+8$
$\mathbf{249} := T\left(T\left(2\right)\right)!/T\left(\sqrt{4}\right)+9$

$\mathbf{240} := T\left(Q\left(2\right)\right)\times 4!+0$
$\mathbf{241} := T\left(Q\left(2\right)\right)\times 4!+1$

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$\mathbf{242} := T(Q(2)) \times 4! + 2$
$\mathbf{243} := T(Q(2)) \times 4! + 3$
$\mathbf{244} := T(Q(2)) \times 4! + 4$
$\mathbf{245} := T(Q(2)) \times 4! + 5$
$\mathbf{246} := T(Q(2)) \times 4! + 6$
$\mathbf{247} := T(Q(2)) \times 4! + 7$
$\mathbf{248} := T(Q(2)) \times 4! + 8$
$\mathbf{249} := T(Q(2)) \times 4! + 9$

$\mathbf{250} := T(Q(2)) \times Q(5) + 0$
$\mathbf{251} := T(Q(2)) \times Q(5) + 1$
$\mathbf{252} := T(Q(2)) \times Q(5) + 2$
$\mathbf{253} := T(Q(2)) \times Q(5) + 3$
$\mathbf{254} := T(Q(2)) \times Q(5) + 4$
$\mathbf{255} := T(Q(2)) \times Q(5) + 5$
$\mathbf{256} := T(Q(2)) \times Q(5) + 6$
$\mathbf{257} := T(Q(2)) \times Q(5) + 7$
$\mathbf{258} := T(Q(2)) \times Q(5) + 8$
$\mathbf{259} := T(Q(2)) \times Q(5) + 9$

$\mathbf{250} := 2 \times C(5) + 0$
$\mathbf{251} := 2 \times C(5) + 1$
$\mathbf{252} := 2 \times C(5) + 2$
$\mathbf{253} := 2 \times C(5) + 3$
$\mathbf{254} := 2 \times C(5) + 4$
$\mathbf{255} := 2 \times C(5) + 5$
$\mathbf{256} := 2 \times C(5) + 6$
$\mathbf{257} := 2 \times C(5) + 7$
$\mathbf{258} := 2 \times C(5) + 8$
$\mathbf{259} := 2 \times C(5) + 9$

$\mathbf{280} := C(F(Q(2))!) + Q(8) + 0$
$\mathbf{281} := C(F(Q(2))!) + Q(8) + 1$
$\mathbf{282} := C(F(Q(2))!) + Q(8) + 2$
$\mathbf{283} := C(F(Q(2))!) + Q(8) + 3$
$\mathbf{284} := C(F(Q(2))!) + Q(8) + 4$
$\mathbf{285} := C(F(Q(2))!) + Q(8) + 5$
$\mathbf{286} := C(F(Q(2))!) + Q(8) + 6$
$\mathbf{287} := C(F(Q(2))!) + Q(8) + 7$
$\mathbf{288} := C(F(Q(2))!) + Q(8) + 8$
$\mathbf{289} := C(F(Q(2))!) + Q(8) + 9$

$\mathbf{290} := Q(Q(Q(2))) + F(9) + 0$
$\mathbf{291} := Q(Q(Q(2))) + F(9) + 1$
$\mathbf{292} := Q(Q(Q(2))) + F(9) + 2$
$\mathbf{293} := Q(Q(Q(2))) + F(9) + 3$
$\mathbf{294} := Q(Q(Q(2))) + F(9) + 4$
$\mathbf{295} := Q(Q(Q(2))) + F(9) + 5$
$\mathbf{296} := Q(Q(Q(2))) + F(9) + 6$
$\mathbf{297} := Q(Q(Q(2))) + F(9) + 7$
$\mathbf{298} := Q(Q(Q(2))) + F(9) + 8$
$\mathbf{299} := Q(Q(Q(2))) + F(9) + 9$

$\mathbf{300} := T(Q(F(3))!) + 00$
$\mathbf{301} := T(Q(F(3))!) + 01$
$\mathbf{302} := T(Q(F(3))!) + 02$
$\mathbf{303} := T(Q(F(3))!) + 03$
$\mathbf{304} := T(Q(F(3))!) + 04$
$\mathbf{305} := T(Q(F(3))!) + 05$
$\mathbf{306} := T(Q(F(3))!) + 06$
$\mathbf{307} := T(Q(F(3))!) + 07$
$\mathbf{308} := T(Q(F(3))!) + 08$
$\mathbf{309} := T(Q(F(3))!) + 09$
$\mathbf{310} := T(Q(F(3))!) + 10$
$\mathbf{311} := T(Q(F(3))!) + 11$
$\mathbf{312} := T(Q(F(3))!) + 12$
$\mathbf{313} := T(Q(F(3))!) + 13$
$\mathbf{314} := T(Q(F(3))!) + 14$

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$\mathbf{315} := T\left(Q\left(F\left(3\right)\right)!\right) + 15$
$\mathbf{316} := T\left(Q\left(F\left(3\right)\right)!\right) + 16$
$\mathbf{317} := T\left(Q\left(F\left(3\right)\right)!\right) + 17$
$\mathbf{318} := T\left(Q\left(F\left(3\right)\right)!\right) + 18$
$\mathbf{319} := T\left(Q\left(F\left(3\right)\right)!\right) + 19$
$\mathbf{320} := T\left(Q\left(F\left(3\right)\right)!\right) + 20$
$\mathbf{321} := T\left(Q\left(F\left(3\right)\right)!\right) + 21$
$\mathbf{322} := T\left(Q\left(F\left(3\right)\right)!\right) + 22$
$\mathbf{323} := T\left(Q\left(F\left(3\right)\right)!\right) + 23$
$\mathbf{324} := T\left(Q\left(F\left(3\right)\right)!\right) + 24$
$\mathbf{325} := T\left(Q\left(F\left(3\right)\right)!\right) + 25$
$\mathbf{326} := T\left(Q\left(F\left(3\right)\right)!\right) + 26$
$\mathbf{327} := T\left(Q\left(F\left(3\right)\right)!\right) + 27$
$\mathbf{328} := T\left(Q\left(F\left(3\right)\right)!\right) + 28$
$\mathbf{329} := T\left(Q\left(F\left(3\right)\right)!\right) + 29$
$\mathbf{330} := T\left(Q\left(F\left(3\right)\right)!\right) + 30$
$\mathbf{331} := T\left(Q\left(F\left(3\right)\right)!\right) + 31$
$\mathbf{332} := T\left(Q\left(F\left(3\right)\right)!\right) + 32$
$\mathbf{333} := T\left(Q\left(F\left(3\right)\right)!\right) + 33$
$\mathbf{334} := T\left(Q\left(F\left(3\right)\right)!\right) + 34$
$\mathbf{335} := T\left(Q\left(F\left(3\right)\right)!\right) + 35$
$\mathbf{336} := T\left(Q\left(F\left(3\right)\right)!\right) + 36$
$\mathbf{337} := T\left(Q\left(F\left(3\right)\right)!\right) + 37$
$\mathbf{338} := T\left(Q\left(F\left(3\right)\right)!\right) + 38$
$\mathbf{339} := T\left(Q\left(F\left(3\right)\right)!\right) + 39$
$\mathbf{340} := T\left(Q\left(F\left(3\right)\right)!\right) + 40$
$\mathbf{341} := T\left(Q\left(F\left(3\right)\right)!\right) + 41$
$\mathbf{342} := T\left(Q\left(F\left(3\right)\right)!\right) + 42$
$\mathbf{343} := T\left(Q\left(F\left(3\right)\right)!\right) + 43$
$\mathbf{344} := T\left(Q\left(F\left(3\right)\right)!\right) + 44$
$\mathbf{345} := T\left(Q\left(F\left(3\right)\right)!\right) + 45$
$\mathbf{346} := T\left(Q\left(F\left(3\right)\right)!\right) + 46$
$\mathbf{347} := T\left(Q\left(F\left(3\right)\right)!\right) + 47$
$\mathbf{348} := T\left(Q\left(F\left(3\right)\right)!\right) + 48$
$\mathbf{349} := T\left(Q\left(F\left(3\right)\right)!\right) + 49$
$\mathbf{350} := T\left(Q\left(F\left(3\right)\right)!\right) + 50$
$\mathbf{351} := T\left(Q\left(F\left(3\right)\right)!\right) + 51$
$\mathbf{352} := T\left(Q\left(F\left(3\right)\right)!\right) + 52$
$\mathbf{353} := T\left(Q\left(F\left(3\right)\right)!\right) + 53$
$\mathbf{354} := T\left(Q\left(F\left(3\right)\right)!\right) + 54$
$\mathbf{355} := T\left(Q\left(F\left(3\right)\right)!\right) + 55$
$\mathbf{356} := T\left(Q\left(F\left(3\right)\right)!\right) + 56$
$\mathbf{357} := T\left(Q\left(F\left(3\right)\right)!\right) + 57$
$\mathbf{358} := T\left(Q\left(F\left(3\right)\right)!\right) + 58$
$\mathbf{359} := T\left(Q\left(F\left(3\right)\right)!\right) + 59$
$\mathbf{360} := T\left(Q\left(F\left(3\right)\right)!\right) + 60$
$\mathbf{361} := T\left(Q\left(F\left(3\right)\right)!\right) + 61$
$\mathbf{362} := T\left(Q\left(F\left(3\right)\right)!\right) + 62$
$\mathbf{363} := T\left(Q\left(F\left(3\right)\right)!\right) + 63$
$\mathbf{364} := T\left(Q\left(F\left(3\right)\right)!\right) + 64$
$\mathbf{365} := T\left(Q\left(F\left(3\right)\right)!\right) + 65$
$\mathbf{366} := T\left(Q\left(F\left(3\right)\right)!\right) + 66$
$\mathbf{367} := T\left(Q\left(F\left(3\right)\right)!\right) + 67$
$\mathbf{368} := T\left(Q\left(F\left(3\right)\right)!\right) + 68$
$\mathbf{369} := T\left(Q\left(F\left(3\right)\right)!\right) + 69$
$\mathbf{370} := T\left(Q\left(F\left(3\right)\right)!\right) + 70$
$\mathbf{371} := T\left(Q\left(F\left(3\right)\right)!\right) + 71$
$\mathbf{372} := T\left(Q\left(F\left(3\right)\right)!\right) + 72$
$\mathbf{373} := T\left(Q\left(F\left(3\right)\right)!\right) + 73$
$\mathbf{374} := T\left(Q\left(F\left(3\right)\right)!\right) + 74$
$\mathbf{375} := T\left(Q\left(F\left(3\right)\right)!\right) + 75$
$\mathbf{376} := T\left(Q\left(F\left(3\right)\right)!\right) + 76$
$\mathbf{377} := T\left(Q\left(F\left(3\right)\right)!\right) + 77$
$\mathbf{378} := T\left(Q\left(F\left(3\right)\right)!\right) + 78$
$\mathbf{379} := T\left(Q\left(F\left(3\right)\right)!\right) + 79$
$\mathbf{380} := T\left(Q\left(F\left(3\right)\right)!\right) + 80$
$\mathbf{381} := T\left(Q\left(F\left(3\right)\right)!\right) + 81$
$\mathbf{382} := T\left(Q\left(F\left(3\right)\right)!\right) + 82$
$\mathbf{383} := T\left(Q\left(F\left(3\right)\right)!\right) + 83$
$\mathbf{384} := T\left(Q\left(F\left(3\right)\right)!\right) + 84$

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$\mathbf{385} := T\left(Q\left(F\left(3\right)\right)!\right) + 85$
$\mathbf{386} := T\left(Q\left(F\left(3\right)\right)!\right) + 86$
$\mathbf{387} := T\left(Q\left(F\left(3\right)\right)!\right) + 87$
$\mathbf{388} := T\left(Q\left(F\left(3\right)\right)!\right) + 88$
$\mathbf{389} := T\left(Q\left(F\left(3\right)\right)!\right) + 89$
$\mathbf{390} := T\left(Q\left(F\left(3\right)\right)!\right) + 00$
$\mathbf{391} := T\left(Q\left(F\left(3\right)\right)!\right) + 91$
$\mathbf{392} := T\left(Q\left(F\left(3\right)\right)!\right) + 92$
$\mathbf{393} := T\left(Q\left(F\left(3\right)\right)!\right) + 93$
$\mathbf{394} := T\left(Q\left(F\left(3\right)\right)!\right) + 94$
$\mathbf{395} := T\left(Q\left(F\left(3\right)\right)!\right) + 95$
$\mathbf{396} := T\left(Q\left(F\left(3\right)\right)!\right) + 96$
$\mathbf{397} := T\left(Q\left(F\left(3\right)\right)!\right) + 97$
$\mathbf{398} := T\left(Q\left(F\left(3\right)\right)!\right) + 98$
$\mathbf{399} := T\left(Q\left(F\left(3\right)\right)!\right) + 99$

$\mathbf{300} := T\left(\left(3 + 0!\right)!\right) + 0$
$\mathbf{301} := T\left(\left(3 + 0!\right)!\right) + 1$
$\mathbf{302} := T\left(\left(3 + 0!\right)!\right) + 2$
$\mathbf{303} := T\left(\left(3 + 0!\right)!\right) + 3$
$\mathbf{304} := T\left(\left(3 + 0!\right)!\right) + 4$
$\mathbf{305} := T\left(\left(3 + 0!\right)!\right) + 5$
$\mathbf{306} := T\left(\left(3 + 0!\right)!\right) + 6$
$\mathbf{307} := T\left(\left(3 + 0!\right)!\right) + 7$
$\mathbf{308} := T\left(\left(3 + 0!\right)!\right) + 8$
$\mathbf{309} := T\left(\left(3 + 0!\right)!\right) + 9$

$\mathbf{320} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 0$
$\mathbf{321} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 1$
$\mathbf{322} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 2$
$\mathbf{323} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 3$
$\mathbf{324} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 4$
$\mathbf{325} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 5$
$\mathbf{326} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 6$
$\mathbf{327} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 7$
$\mathbf{328} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 8$
$\mathbf{329} := Q\left(F\left(3!\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 9$

$\mathbf{320} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 0$
$\mathbf{321} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 1$
$\mathbf{322} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 2$
$\mathbf{323} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 3$
$\mathbf{324} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 4$
$\mathbf{325} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 5$
$\mathbf{326} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 6$
$\mathbf{327} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 7$
$\mathbf{328} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 8$
$\mathbf{329} := C\left(Q\left(F\left(3\right)\right)\right) + Q\left(Q\left(Q\left(2\right)\right)\right) + 9$

$\mathbf{340} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 0$
$\mathbf{341} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 1$
$\mathbf{342} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 2$
$\mathbf{343} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 3$
$\mathbf{344} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 4$
$\mathbf{345} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 5$
$\mathbf{346} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 6$
$\mathbf{347} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 7$
$\mathbf{348} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 8$
$\mathbf{349} := F\left(Q\left(3\right)\right) \times T\left(4\right) + 9$

$\mathbf{370} := C\left(3\right) + C\left(7\right) + 0$
$\mathbf{371} := C\left(3\right) + C\left(7\right) + 1$
$\mathbf{372} := C\left(3\right) + C\left(7\right) + 2$
$\mathbf{373} := C\left(3\right) + C\left(7\right) + 3$
$\mathbf{374} := C\left(3\right) + C\left(7\right) + 4$
$\mathbf{375} := C\left(3\right) + C\left(7\right) + 5$
$\mathbf{376} := C\left(3\right) + C\left(7\right) + 6$
$\mathbf{377} := C\left(3\right) + C\left(7\right) + 7$

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$$\mathbf{378} := C(3) + C(7) + 8$$
$$\mathbf{379} := C(3) + C(7) + 9$$

$$\mathbf{370} := -Q(T(3)) + T(T(7)) + 0$$
$$\mathbf{371} := -Q(T(3)) + T(T(7)) + 1$$
$$\mathbf{372} := -Q(T(3)) + T(T(7)) + 2$$
$$\mathbf{373} := -Q(T(3)) + T(T(7)) + 3$$
$$\mathbf{374} := -Q(T(3)) + T(T(7)) + 4$$
$$\mathbf{375} := -Q(T(3)) + T(T(7)) + 5$$
$$\mathbf{376} := -Q(T(3)) + T(T(7)) + 6$$
$$\mathbf{377} := -Q(T(3)) + T(T(7)) + 7$$
$$\mathbf{378} := -Q(T(3)) + T(T(7)) + 8$$
$$\mathbf{379} := -Q(T(3)) + T(T(7)) + 9$$

$$\mathbf{370} := -T(F(T(3))) + T(T(7)) + 0$$
$$\mathbf{371} := -T(F(T(3))) + T(T(7)) + 1$$
$$\mathbf{372} := -T(F(T(3))) + T(T(7)) + 2$$
$$\mathbf{373} := -T(F(T(3))) + T(T(7)) + 3$$
$$\mathbf{374} := -T(F(T(3))) + T(T(7)) + 4$$
$$\mathbf{375} := -T(F(T(3))) + T(T(7)) + 5$$
$$\mathbf{376} := -T(F(T(3))) + T(T(7)) + 6$$
$$\mathbf{377} := -T(F(T(3))) + T(T(7)) + 7$$
$$\mathbf{378} := -T(F(T(3))) + T(T(7)) + 8$$
$$\mathbf{379} := -T(F(T(3))) + T(T(7)) + 9$$

$$\mathbf{400} := Q(F(F(F(4)!)) - 0!) + 0$$
$$\mathbf{401} := Q(F(F(F(4)!)) - 0!) + 1$$
$$\mathbf{402} := Q(F(F(F(4)!)) - 0!) + 2$$
$$\mathbf{403} := Q(F(F(F(4)!)) - 0!) + 3$$
$$\mathbf{404} := Q(F(F(F(4)!)) - 0!) + 4$$
$$\mathbf{405} := Q(F(F(F(4)!)) - 0!) + 5$$
$$\mathbf{406} := Q(F(F(F(4)!)) - 0!) + 6$$
$$\mathbf{407} := Q(F(F(F(4)!)) - 0!) + 7$$
$$\mathbf{408} := Q(F(F(F(4)!)) - 0!) + 8$$
$$\mathbf{409} := Q(F(F(F(4)!)) - 0!) + 9$$

$$\mathbf{400} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 0$$
$$\mathbf{401} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 1$$
$$\mathbf{402} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 2$$
$$\mathbf{403} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 3$$
$$\mathbf{404} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 4$$
$$\mathbf{405} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 5$$
$$\mathbf{406} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 6$$
$$\mathbf{407} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 7$$
$$\mathbf{408} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 8$$
$$\mathbf{409} := Q\left(F\left(\sqrt{C(4)}\right) - 0!\right) + 9$$

$$\mathbf{400} := Q(T(T(F(4))) - 0!) + 0$$
$$\mathbf{401} := Q(T(T(F(4))) - 0!) + 1$$
$$\mathbf{402} := Q(T(T(F(4))) - 0!) + 2$$
$$\mathbf{403} := Q(T(T(F(4))) - 0!) + 3$$
$$\mathbf{404} := Q(T(T(F(4))) - 0!) + 4$$
$$\mathbf{405} := Q(T(T(F(4))) - 0!) + 5$$
$$\mathbf{406} := Q(T(T(F(4))) - 0!) + 6$$
$$\mathbf{407} := Q(T(T(F(4))) - 0!) + 7$$
$$\mathbf{408} := Q(T(T(F(4))) - 0!) + 8$$
$$\mathbf{409} := Q(T(T(F(4))) - 0!) + 9$$

$$\mathbf{400} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 0$$
$$\mathbf{401} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 1$$
$$\mathbf{402} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 2$$
$$\mathbf{403} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 3$$
$$\mathbf{404} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 4$$
$$\mathbf{405} := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right) - 0!\right) + 5$$

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$$406 := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right)-0!\right)+6$$
$$407 := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right)-0!\right)+7$$
$$408 := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right)-0!\right)+8$$
$$409 := Q\left(T\left(T\left(T\left(\sqrt{4}\right)\right)\right)-0!\right)+9$$

$$420 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+0$$
$$421 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+1$$
$$422 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+2$$
$$423 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+3$$
$$424 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+4$$
$$425 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+5$$
$$426 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+6$$
$$427 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+7$$
$$428 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+8$$
$$429 := Q\left(F\left(F\left(F\left(4!\right)\right)\right)-F\left(F\left(F\left(Q\left(2\right)\right)!\right)\right)+9$$

$$440 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+0$$
$$441 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+1$$
$$442 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+2$$
$$443 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+3$$
$$444 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+4$$
$$445 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+5$$
$$446 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+6$$
$$447 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+7$$
$$448 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+8$$
$$449 := Q\left(4!\right)-T\left(Q\left(4\right)\right)+9$$

$$420 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+0$$
$$421 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+1$$
$$422 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+2$$
$$423 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+3$$
$$424 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+4$$
$$425 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+5$$
$$426 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+6$$
$$427 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+7$$
$$428 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+8$$
$$429 := -T\left(4!\right)+T\left(T\left(2\right)\right)!+9$$

$$440 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+0$$
$$441 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+1$$
$$442 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+2$$
$$443 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+3$$
$$444 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+4$$
$$445 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+5$$
$$446 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+6$$
$$447 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+7$$
$$448 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+8$$
$$449 := F\left(T\left(F\left(4\right)\right)\right)\times F\left(T\left(4\right)\right)+9$$

$$440 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+0$$
$$441 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+1$$
$$442 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+2$$
$$443 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+3$$
$$444 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+4$$
$$445 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+5$$
$$446 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+6$$
$$447 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+7$$
$$448 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+8$$
$$449 := \sqrt{C\left(4\right)}\times T\left(T\left(4\right)\right)+9$$

$$450 := \sqrt{4}\times Q\left(T\left(5\right)\right)+0$$
$$451 := \sqrt{4}\times Q\left(T\left(5\right)\right)+1$$
$$452 := \sqrt{4}\times Q\left(T\left(5\right)\right)+2$$
$$453 := \sqrt{4}\times Q\left(T\left(5\right)\right)+3$$
$$454 := \sqrt{4}\times Q\left(T\left(5\right)\right)+4$$
$$455 := \sqrt{4}\times Q\left(T\left(5\right)\right)+5$$
$$456 := \sqrt{4}\times Q\left(T\left(5\right)\right)+6$$

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$$\mathbf{457} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 7$$
$$\mathbf{458} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 8$$
$$\mathbf{459} := \sqrt{4} \times Q\left(T\left(5\right)\right) + 9$$

$$\mathbf{470} := C\left(4\right) + T\left(T\left(7\right)\right) + 0$$
$$\mathbf{471} := C\left(4\right) + T\left(T\left(7\right)\right) + 1$$
$$\mathbf{472} := C\left(4\right) + T\left(T\left(7\right)\right) + 2$$
$$\mathbf{473} := C\left(4\right) + T\left(T\left(7\right)\right) + 3$$
$$\mathbf{474} := C\left(4\right) + T\left(T\left(7\right)\right) + 4$$
$$\mathbf{475} := C\left(4\right) + T\left(T\left(7\right)\right) + 5$$
$$\mathbf{476} := C\left(4\right) + T\left(T\left(7\right)\right) + 6$$
$$\mathbf{477} := C\left(4\right) + T\left(T\left(7\right)\right) + 7$$
$$\mathbf{478} := C\left(4\right) + T\left(T\left(7\right)\right) + 8$$
$$\mathbf{479} := C\left(4\right) + T\left(T\left(7\right)\right) + 9$$

$$\mathbf{490} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 0$$
$$\mathbf{491} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 1$$
$$\mathbf{492} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 2$$
$$\mathbf{493} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 3$$
$$\mathbf{494} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 4$$
$$\mathbf{495} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 5$$
$$\mathbf{496} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 6$$
$$\mathbf{497} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 7$$
$$\mathbf{498} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 8$$
$$\mathbf{499} := Q\left(F\left(Q\left(F\left(4\right)\right)\right)\right) - T\left(Q\left(T\left(\sqrt{9}\right)\right)\right) + 9$$

$$\mathbf{540} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 0$$
$$\mathbf{541} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 1$$
$$\mathbf{542} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 2$$
$$\mathbf{543} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 3$$
$$\mathbf{544} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 4$$
$$\mathbf{545} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 5$$
$$\mathbf{546} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 6$$
$$\mathbf{547} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 7$$
$$\mathbf{548} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 8$$
$$\mathbf{549} := T\left(5\right) \times T\left(\sqrt{C\left(4\right)}\right) + 9$$

$$\mathbf{540} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 0$$
$$\mathbf{541} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 1$$
$$\mathbf{542} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 2$$
$$\mathbf{543} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 3$$
$$\mathbf{544} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 4$$
$$\mathbf{545} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 5$$
$$\mathbf{546} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 6$$
$$\mathbf{547} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 7$$
$$\mathbf{548} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 8$$
$$\mathbf{549} := T\left(5\right) \times T\left(F\left(T\left(F\left(4\right)\right)\right)\right) + 9$$

$$\mathbf{540} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 0$$
$$\mathbf{541} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 1$$
$$\mathbf{542} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 2$$
$$\mathbf{543} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 3$$
$$\mathbf{544} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 4$$
$$\mathbf{545} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 5$$
$$\mathbf{546} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 6$$
$$\mathbf{547} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 7$$
$$\mathbf{548} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 8$$
$$\mathbf{549} := T\left(5\right) \times Q\left(T\left(T\left(\sqrt{4}\right)\right)\right) + 9$$

$$\mathbf{540} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 0$$
$$\mathbf{541} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 1$$
$$\mathbf{542} := T\left(5\right) \times Q\left(T\left(F\left(4\right)\right)\right) + 2$$

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$$\mathbf{543} := T(5) \times Q(T(F(4))) + 3$$
$$\mathbf{544} := T(5) \times Q(T(F(4))) + 4$$
$$\mathbf{545} := T(5) \times Q(T(F(4))) + 5$$
$$\mathbf{546} := T(5) \times Q(T(F(4))) + 6$$
$$\mathbf{547} := T(5) \times Q(T(F(4))) + 7$$
$$\mathbf{548} := T(5) \times Q(T(F(4))) + 8$$
$$\mathbf{549} := T(5) \times Q(T(F(4))) + 9$$

$$\mathbf{540} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 0$$
$$\mathbf{541} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 1$$
$$\mathbf{542} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 2$$
$$\mathbf{543} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 3$$
$$\mathbf{544} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 4$$
$$\mathbf{545} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 5$$
$$\mathbf{546} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 6$$
$$\mathbf{547} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 7$$
$$\mathbf{548} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 8$$
$$\mathbf{549} := T(5) \times T\left(C\left(\sqrt{4}\right)\right) + 9$$

$$\mathbf{550} := Q(T(5)) + T(Q(5)) + 0$$
$$\mathbf{551} := Q(T(5)) + T(Q(5)) + 1$$
$$\mathbf{552} := Q(T(5)) + T(Q(5)) + 2$$
$$\mathbf{553} := Q(T(5)) + T(Q(5)) + 3$$
$$\mathbf{554} := Q(T(5)) + T(Q(5)) + 4$$
$$\mathbf{555} := Q(T(5)) + T(Q(5)) + 5$$
$$\mathbf{556} := Q(T(5)) + T(Q(5)) + 6$$
$$\mathbf{557} := Q(T(5)) + T(Q(5)) + 7$$
$$\mathbf{558} := Q(T(5)) + T(Q(5)) + 8$$
$$\mathbf{559} := Q(T(5)) + T(Q(5)) + 9$$

$$\mathbf{590} := -5 + T(F(9)) + 0$$
$$\mathbf{591} := -5 + T(F(9)) + 1$$
$$\mathbf{592} := -5 + T(F(9)) + 2$$
$$\mathbf{593} := -5 + T(F(9)) + 3$$
$$\mathbf{594} := -5 + T(F(9)) + 4$$
$$\mathbf{595} := -5 + T(F(9)) + 5$$
$$\mathbf{596} := -5 + T(F(9)) + 6$$
$$\mathbf{597} := -5 + T(F(9)) + 7$$
$$\mathbf{598} := -5 + T(F(9)) + 8$$
$$\mathbf{599} := -5 + T(F(9)) + 9$$

$$\mathbf{610} := F(T(6-1)) + 0$$
$$\mathbf{611} := F(T(6-1)) + 1$$
$$\mathbf{612} := F(T(6-1)) + 2$$
$$\mathbf{613} := F(T(6-1)) + 3$$
$$\mathbf{614} := F(T(6-1)) + 4$$
$$\mathbf{615} := F(T(6-1)) + 5$$
$$\mathbf{616} := F(T(6-1)) + 6$$
$$\mathbf{617} := F(T(6-1)) + 7$$
$$\mathbf{618} := F(T(6-1)) + 8$$
$$\mathbf{619} := F(T(6-1)) + 9$$

$$\mathbf{620} := 6! - Q(T(Q(2))) + 0$$
$$\mathbf{621} := 6! - Q(T(Q(2))) + 1$$
$$\mathbf{622} := 6! - Q(T(Q(2))) + 2$$
$$\mathbf{623} := 6! - Q(T(Q(2))) + 3$$
$$\mathbf{624} := 6! - Q(T(Q(2))) + 4$$
$$\mathbf{625} := 6! - Q(T(Q(2))) + 5$$
$$\mathbf{626} := 6! - Q(T(Q(2))) + 6$$
$$\mathbf{627} := 6! - Q(T(Q(2))) + 7$$
$$\mathbf{628} := 6! - Q(T(Q(2))) + 8$$
$$\mathbf{629} := 6! - Q(T(Q(2))) + 9$$

$$\mathbf{630} := T(T(F(6)) - F(F(3))) + 0$$
$$\mathbf{631} := T(T(F(6)) - F(F(3))) + 1$$
$$\mathbf{632} := T(T(F(6)) - F(F(3))) + 2$$

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$\mathbf{633} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 3$
$\mathbf{634} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 4$
$\mathbf{635} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 5$
$\mathbf{636} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 6$
$\mathbf{637} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 7$
$\mathbf{638} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 8$
$\mathbf{639} := T\left(T\left(F\left(6\right)\right) - F\left(F\left(3\right)\right)\right) + 9$

$\mathbf{630} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 0$
$\mathbf{631} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 1$
$\mathbf{632} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 2$
$\mathbf{633} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 3$
$\mathbf{634} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 4$
$\mathbf{635} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 5$
$\mathbf{636} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 6$
$\mathbf{637} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 7$
$\mathbf{638} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 8$
$\mathbf{639} := T\left(Q\left(6\right)\right) - Q\left(T\left(3\right)\right) + 9$

$\mathbf{630} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 0$
$\mathbf{631} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 1$
$\mathbf{632} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 2$
$\mathbf{633} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 3$
$\mathbf{634} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 4$
$\mathbf{635} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 5$
$\mathbf{636} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 6$
$\mathbf{637} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 7$
$\mathbf{638} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 8$
$\mathbf{639} := F\left(6\right)!/Q\left(F\left(3!\right)\right) + 9$

$\mathbf{630} := T\left(F\left(6\right) + C\left(3\right)\right) + 0$
$\mathbf{631} := T\left(F\left(6\right) + C\left(3\right)\right) + 1$
$\mathbf{632} := T\left(F\left(6\right) + C\left(3\right)\right) + 2$
$\mathbf{633} := T\left(F\left(6\right) + C\left(3\right)\right) + 3$
$\mathbf{634} := T\left(F\left(6\right) + C\left(3\right)\right) + 4$
$\mathbf{635} := T\left(F\left(6\right) + C\left(3\right)\right) + 5$
$\mathbf{636} := T\left(F\left(6\right) + C\left(3\right)\right) + 6$
$\mathbf{637} := T\left(F\left(6\right) + C\left(3\right)\right) + 7$
$\mathbf{638} := T\left(F\left(6\right) + C\left(3\right)\right) + 8$
$\mathbf{639} := T\left(F\left(6\right) + C\left(3\right)\right) + 9$

$\mathbf{640} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 0$
$\mathbf{641} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 1$
$\mathbf{642} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 2$
$\mathbf{643} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 3$
$\mathbf{644} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 4$
$\mathbf{645} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 5$
$\mathbf{646} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 6$
$\mathbf{647} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 7$
$\mathbf{648} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 8$
$\mathbf{649} := Q\left(F\left(6\right)\right) + Q\left(4!\right) + 9$

$\mathbf{640} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 0$
$\mathbf{641} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 1$
$\mathbf{642} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 2$
$\mathbf{643} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 3$
$\mathbf{644} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 4$
$\mathbf{645} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 5$
$\mathbf{646} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 6$
$\mathbf{647} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 7$
$\mathbf{648} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 8$
$\mathbf{649} := Q\left(F\left(6\right)\right) \times T\left(4\right) + 9$

$\mathbf{660} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 0$
$\mathbf{661} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 1$
$\mathbf{662} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 2$
$\mathbf{663} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 3$
$\mathbf{664} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 4$

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$\mathbf{665} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 5$
$\mathbf{666} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 6$
$\mathbf{667} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 7$
$\mathbf{668} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 8$
$\mathbf{669} := T\left(T\left(F\left(6\right)\right)\right) - 6 + 9$

$\mathbf{720} := \left(7 - Q\left(2\right)\right)!! + 0$
$\mathbf{721} := \left(7 - Q\left(2\right)\right)!! + 1$
$\mathbf{722} := \left(7 - Q\left(2\right)\right)!! + 2$
$\mathbf{723} := \left(7 - Q\left(2\right)\right)!! + 3$
$\mathbf{724} := \left(7 - Q\left(2\right)\right)!! + 4$
$\mathbf{725} := \left(7 - Q\left(2\right)\right)!! + 5$
$\mathbf{726} := \left(7 - Q\left(2\right)\right)!! + 6$
$\mathbf{727} := \left(7 - Q\left(2\right)\right)!! + 7$
$\mathbf{728} := \left(7 - Q\left(2\right)\right)!! + 8$
$\mathbf{729} := \left(7 - Q\left(2\right)\right)!! + 9$

$\mathbf{720} := \left(\sqrt{7 + 2}\right)!! + 0$
$\mathbf{721} := \left(\sqrt{7 + 2}\right)!! + 1$
$\mathbf{722} := \left(\sqrt{7 + 2}\right)!! + 2$
$\mathbf{723} := \left(\sqrt{7 + 2}\right)!! + 3$
$\mathbf{724} := \left(\sqrt{7 + 2}\right)!! + 4$
$\mathbf{725} := \left(\sqrt{7 + 2}\right)!! + 5$
$\mathbf{726} := \left(\sqrt{7 + 2}\right)!! + 6$
$\mathbf{727} := \left(\sqrt{7 + 2}\right)!! + 7$
$\mathbf{728} := \left(\sqrt{7 + 2}\right)!! + 8$
$\mathbf{729} := \left(\sqrt{7 + 2}\right)!! + 9$

$\mathbf{720} := \left(7 - F\left(2\right)\right)! + 0$
$\mathbf{721} := \left(7 - F\left(2\right)\right)! + 1$
$\mathbf{722} := \left(7 - F\left(2\right)\right)! + 2$
$\mathbf{723} := \left(7 - F\left(2\right)\right)! + 3$
$\mathbf{724} := \left(7 - F\left(2\right)\right)! + 4$
$\mathbf{725} := \left(7 - F\left(2\right)\right)! + 5$
$\mathbf{726} := \left(7 - F\left(2\right)\right)! + 6$
$\mathbf{727} := \left(7 - F\left(2\right)\right)! + 7$
$\mathbf{728} := \left(7 - F\left(2\right)\right)! + 8$
$\mathbf{729} := \left(7 - F\left(2\right)\right)! + 9$

$\mathbf{720} := T\left(\sqrt{7 + 2}\right)! + 0$
$\mathbf{721} := T\left(\sqrt{7 + 2}\right)! + 1$
$\mathbf{722} := T\left(\sqrt{7 + 2}\right)! + 2$
$\mathbf{723} := T\left(\sqrt{7 + 2}\right)! + 3$
$\mathbf{724} := T\left(\sqrt{7 + 2}\right)! + 4$
$\mathbf{725} := T\left(\sqrt{7 + 2}\right)! + 5$
$\mathbf{726} := T\left(\sqrt{7 + 2}\right)! + 6$
$\mathbf{727} := T\left(\sqrt{7 + 2}\right)! + 7$
$\mathbf{728} := T\left(\sqrt{7 + 2}\right)! + 8$
$\mathbf{729} := T\left(\sqrt{7 + 2}\right)! + 9$

$\mathbf{750} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 0$
$\mathbf{751} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 1$
$\mathbf{752} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 2$
$\mathbf{753} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 3$
$\mathbf{754} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 4$
$\mathbf{755} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 5$
$\mathbf{756} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 6$
$\mathbf{757} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 7$
$\mathbf{758} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 8$
$\mathbf{759} := T\left(\sqrt{T\left(Q\left(7\right)\right)}\right) + 5! + 9$

$\mathbf{790} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 0$

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$$\mathbf{791} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 1$$
$$\mathbf{792} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 2$$
$$\mathbf{793} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 3$$
$$\mathbf{794} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 4$$
$$\mathbf{795} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 5$$
$$\mathbf{796} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 6$$
$$\mathbf{797} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 7$$
$$\mathbf{798} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 8$$
$$\mathbf{799} := Q\left(T\left(7\right)\right) + T\left(\sqrt{9}\right) + 9$$

$$\mathbf{820} := T\left(T\left(8\right) + Q\left(2\right)\right) + 0$$
$$\mathbf{821} := T\left(T\left(8\right) + Q\left(2\right)\right) + 1$$
$$\mathbf{822} := T\left(T\left(8\right) + Q\left(2\right)\right) + 2$$
$$\mathbf{823} := T\left(T\left(8\right) + Q\left(2\right)\right) + 3$$
$$\mathbf{824} := T\left(T\left(8\right) + Q\left(2\right)\right) + 4$$
$$\mathbf{825} := T\left(T\left(8\right) + Q\left(2\right)\right) + 5$$
$$\mathbf{826} := T\left(T\left(8\right) + Q\left(2\right)\right) + 6$$
$$\mathbf{827} := T\left(T\left(8\right) + Q\left(2\right)\right) + 7$$
$$\mathbf{828} := T\left(T\left(8\right) + Q\left(2\right)\right) + 8$$
$$\mathbf{829} := T\left(T\left(8\right) + Q\left(2\right)\right) + 9$$

$$\mathbf{890} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 0$$
$$\mathbf{891} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 1$$
$$\mathbf{892} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 2$$
$$\mathbf{893} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 3$$
$$\mathbf{894} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 4$$
$$\mathbf{895} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 5$$
$$\mathbf{896} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 6$$
$$\mathbf{897} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 7$$
$$\mathbf{898} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 8$$
$$\mathbf{899} := C\left(8\right) + T\left(C\left(\sqrt{9}\right)\right) + 9$$

$$\mathbf{940} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 0$$
$$\mathbf{941} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 1$$
$$\mathbf{942} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 2$$
$$\mathbf{943} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 3$$
$$\mathbf{944} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 4$$
$$\mathbf{945} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 5$$
$$\mathbf{946} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 6$$
$$\mathbf{947} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 7$$
$$\mathbf{948} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 8$$
$$\mathbf{949} := Q\left(F\left(9\right)\right) - C\left(F\left(4!\right)\right) + 9$$

$$\mathbf{960} := C\left(9\right) + T\left(T\left(6\right)\right) + 0$$
$$\mathbf{961} := C\left(9\right) + T\left(T\left(6\right)\right) + 1$$
$$\mathbf{962} := C\left(9\right) + T\left(T\left(6\right)\right) + 2$$
$$\mathbf{963} := C\left(9\right) + T\left(T\left(6\right)\right) + 3$$
$$\mathbf{964} := C\left(9\right) + T\left(T\left(6\right)\right) + 4$$
$$\mathbf{965} := C\left(9\right) + T\left(T\left(6\right)\right) + 5$$
$$\mathbf{966} := C\left(9\right) + T\left(T\left(6\right)\right) + 6$$
$$\mathbf{967} := C\left(9\right) + T\left(T\left(6\right)\right) + 7$$
$$\mathbf{968} := C\left(9\right) + T\left(T\left(6\right)\right) + 8$$
$$\mathbf{969} := C\left(9\right) + T\left(T\left(6\right)\right) + 9$$

$$\mathbf{990} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 0$$
$$\mathbf{991} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 1$$
$$\mathbf{992} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 2$$
$$\mathbf{993} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 3$$
$$\mathbf{994} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 4$$
$$\mathbf{995} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 5$$
$$\mathbf{996} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 6$$
$$\mathbf{997} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 7$$

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$$\mathbf{998} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 8$$
$$\mathbf{999} := F\left(Q\left(Q\left(F\left(\sqrt{9}\right)\right)\right)\right) + \sqrt{9} + 9$$

$$\mathbf{990} := T\left(T\left(9\right)\right) - T\left(9\right) + 0$$
$$\mathbf{991} := T\left(T\left(9\right)\right) - T\left(9\right) + 1$$
$$\mathbf{992} := T\left(T\left(9\right)\right) - T\left(9\right) + 2$$
$$\mathbf{993} := T\left(T\left(9\right)\right) - T\left(9\right) + 3$$
$$\mathbf{994} := T\left(T\left(9\right)\right) - T\left(9\right) + 4$$
$$\mathbf{995} := T\left(T\left(9\right)\right) - T\left(9\right) + 5$$
$$\mathbf{996} := T\left(T\left(9\right)\right) - T\left(9\right) + 6$$
$$\mathbf{997} := T\left(T\left(9\right)\right) - T\left(9\right) + 7$$
$$\mathbf{998} := T\left(T\left(9\right)\right) - T\left(9\right) + 8$$
$$\mathbf{999} := T\left(T\left(9\right)\right) - T\left(9\right) + 9$$

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