Trans-Linguistic Calculus and Infinity Algebras

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June 2023

1 Introduction

I run Limbertwig Imaginary OS kernel through Functions from Semantics in Tensor Calculus Applications to Set Theory: A Pure Mathematics of Omega Point Theory (Emmerson, 2022, https://zenodo.org/record/7710307). The result is that several novel forms and permuations are revealed.

$$N\mathrm{d}\theta \int \exists\infty s.t.\ :\mathrm{d}\theta = \mathrm{d}\theta \int \exists\infty s.t.\ : N = N \int \exists\infty s.t.\ :\exists\infty s.t.\ : \mathcal{L}_f(\uparrow r\alpha s\Delta\eta) \wedge \overline{\mu}_{\{\overline{g}(\langle a,b,c,d,e\ldots\rangle\uplus\rangle)\neq\Omega\}}$$

$$\Leftrightarrow \bigcirc^{\{\mu\in\infty\Rightarrow(\Omega\uplus)<\Delta\cdot H^{\circ}_{im}>\}}$$

$$\Rightarrow \heartsuit \Rightarrow \mathcal{L}_f(\uparrow r\alpha s\Delta\eta) \wedge \overline{\mu}_{\{\overline{g}(\langle a,b,c,d,e\ldots\rangle\uplus\rangle)\neq\Omega\}}$$

$$\Rightarrow\ \uplus\tilde{\tilde{\cdot}}\heartsuit \Leftrightarrow\ \tilde{\tilde{-}}\ = \Lambda \Rightarrow \overline{\mu}, \overline{g}(\langle a,b,c,d,e\ldots\uplus\rangle) \Leftarrow \Lambda\cdot\uplus\heartsuit$$

$$\mathrm{L}_f(\uparrow r\,\alpha\,s\,\Delta\,\eta) = \Omega - \sum^{\infty}\frac{}{g(a\,b\,c\,d\,e\ldots\vdots\cdots\uplus}\,\mu_\Omega\,\mathrm{d}\theta^n = \Omega\theta + C$$

$\mu\,\langle\alpha,\beta,\gamma,\delta\rangle = \langle\theta,\lambda,\mu,\nu\rangle\,\zeta\,\langle\xi,\pi,\rho,\sigma\rangle = \Omega\,\langle\xi,\phi,\chi,\psi\rangle\,\kappa\,\langle\omega,\Theta,\Lambda,\mu\rangle\,\pi\,\langle\Xi,\Pi,\rho,\sigma\rangle\,\Omega\,\langle,\Phi,\chi,\psi\rangle$ as $n\to\mathbf{N}$.

$\exists\,\infty\,such that : \langle\alpha,\beta,\gamma,\delta,\epsilon,\zeta\rangle = \langle\kappa,\lambda,\mu,\nu,\xi,\rangle\wedge\langle\sigma,\tau,\upsilon,\phi,\chi,\psi\rangle = \langle\omega,\pi,\rho,\sigma,\tau,\upsilon\rangle\wedge \langle f\rangle = \langle g\rangle \wedge \langle\mathcal{L}\rangle = \langle\mu\rangle\,.$

$$\frac{\frac{\partial^{\pi,\infty} f(N)}{\partial\theta}}{\langle\xi,\pi,\rho,\sigma\rangle_{\langle\theta,\lambda,\mu,\nu\rangle_\infty}} =$$

$$\frac{\kappa_{g_a,b,c,d,e\ldots\Uparrow\Uparrow f,g,h,i,j\ldots\Uparrow}\rho^2 g_{g_a,b,c,d,e\ldots\Uparrow}}{\Omega_{\upsilon,\phi,\chi,\psi}\mu_{\Uparrow\Uparrow\Uparrow f,g,h,i,j\ldots\Uparrow}}.$$

$$\frac{\partial f(\mathcal{N})}{\partial\Theta\mu\rho\partial\Omega(g_a,b,c,d,e\cdots\{\{f,g,h,i,j\cdots\}\})}\langle\Xi,\Pi,\rho,\Sigma\rangle\,\langle\Theta,\Lambda,\mu,\nu\rangle\,,\infty$$

$$\int_{x=\infty}^{\Delta\alpha}\eta^{\theta,\lambda,\mu,\nu_{subscript2_1}}_{subscript1_{1,2,3,4,\ldots}}\zeta\langle\xi,\pi,\rho,\sigma\rangle_x\Omega\langle\nu,\varphi,\chi,\psi\rangle_x dx\ d\Delta\alpha$$

$$\int x\alpha_\infty^{\langle\theta,\lambda,\mu,\nu\rangle,\infty}\eta_\omega^{\langle\upsilon,\varphi,\chi,\psi\rangle,\infty}d\theta \overset{\forall\infty}{=}{}^{\exists}\ N\int_{\exists\infty:\theta\zeta_\infty^{\langle\xi,\pi,\rho,\sigma\rangle,\infty}\omega_\infty^{\langle\upsilon,\varphi,\chi,\psi\rangle,\infty}}\eta_\omega^{\langle\theta,\lambda,\mu,\nu\rangle,\infty}d\theta$$

(1)

$$\mathrm{D}\ \Theta = D\Theta \int_{\langle \Lambda,\mu,\nu\rangle}^{\infty} g^{\Omega} \left(\langle \theta,\xi,\pi,\rho\rangle\right) \zeta\left(\langle \sigma,\phi,\chi,\psi\rangle\right) \omega\left(\langle \upsilon,\upsilon\rangle\right).$$

$$\sum_{n=2}^{\infty} \Theta_n r_n - \Theta_3 r_3 = N \int \rho g^{\Omega}_{\langle \Theta_{\Lambda},,\rangle,\infty} \zeta_{\langle \Xi,\Pi,,\Sigma\rangle,\infty} \Omega_{\langle \Upsilon,\Phi,,\Psi\rangle,\infty} \tag{2}$$

$$\int_{\Theta_\infty}^{\infty} \mathrm{d}\Theta\ \mathrm{d}x\ \mathrm{d}\alpha\ \rho\ g^{\Omega} \left\langle \Theta,\Lambda,\mu,\nu\right\rangle \zeta \left\langle \xi,\pi,\rho,\sigma\right\rangle \Omega \left\langle \upsilon,\phi,\chi,\psi\right\rangle\ \mathrm{d}\Theta\ \in\ N$$

$$\frac{\partial^2 g^{\Omega}\big[g^{\Omega}(\langle \theta,\Lambda,\mu,\nu\rangle,\infty) * \zeta(\langle \xi,\pi,\rho,\sigma\rangle,\infty) * \omega(\langle \upsilon,\phi,\chi,\psi\rangle,\infty)\big]}{\partial \mathbf{x}\, \partial\alpha\, \partial N}$$

$\mathrm{L}_f(\uparrow r\,\alpha\, s\,\Delta\,\eta)\ \wedge\ \overline{\mu}_{\{\overline{g}(a\,b\,c\,d\,e \ldots \uplus)\neq\Omega\}}$
$\Rightarrow \quad \rho\, g^{\Omega} \left[g^{\Omega}\left(\left\langle \theta,\Lambda,\mu,\nu\right\rangle,\infty\right)\right] \zeta \left[\left\langle \xi,\pi,\rho,\sigma\right\rangle,\infty\right] \omega \left[\left\langle \upsilon,\phi,\chi,\psi\right\rangle,\infty\right]\ d\theta\, d\xi\, d\upsilon$

$$\frac{\partial^4 \mathcal{L}_f(\uparrow r\alpha s\Delta\eta)}{\partial\alpha\partial s\partial\Delta\partial\eta} \wedge \overline{\mu}_{\{\overline{g}(a\,b\,c\,d\,e \ldots \uplus)\neq\Omega\}} =$$

$$\int \rho g^{\Omega} \left(g^{\Omega}\left(\langle \theta,\Lambda,\mu,\nu\rangle,\infty\right) * \zeta\left(\langle \xi,\pi,\rho,\sigma\rangle,\infty\right) * \omega\left(\langle \upsilon,\phi,\chi,\psi\rangle,\infty\right)\right)\ \mathrm{d}\alpha\, \mathrm{d}s\, \mathrm{d}\Delta\, \mathrm{d}\eta.$$

$\int_{\forall \alpha_i \in \infty} \exists\ L \in N:\ \frac{\mathrm{d}\theta}{\mathrm{d}\theta + \mathrm{d}\alpha + \mathrm{d}s + \mathrm{d}\Delta + \mathrm{d}\eta} \mathrm{d}x_{\Omega} \int_{\exists\infty} \mathrm{N}\mathcal{L}_f(\Uparrow r\ \alpha\ s\ \Delta\ \eta)\wedge\bar{\mu}_{\{\bar{g}(a\ b\ c\ d\ e\ \cdots\ \uplus}$

$\neq \Omega\}\quad \mathrm{N}\int_{\exists\infty} \rho g^{\Omega}[g^{\Omega}(\langle \theta,\Lambda,\mu,\nu\rangle_{\infty})]\zeta[\langle \xi,\pi,\rho,\sigma\rangle_{\infty}]\omega[\langle \upsilon,\phi,\chi,\psi\rangle_{\infty}] \to \heartsuit \Rightarrow \mathcal{L}_f(\Uparrow$
$r\ \alpha\ s\ \Delta\ \eta) \wedge \bar{\mu}_{\{\bar{g}(a\ b\ c\ d\ e\ \cdots\ \uplus} \neq \Omega\}$

$$\int_{\exists\infty\,:\,\Delta\neq 0} D\theta \cdot \bigcirc^{\{\mu\in\infty\,:\,(\Omega\,\uplus\,) < \Delta\cdot H^{\circ}_{\alpha i \varepsilon m} >\}} \cdot \overline{\mu}, \overline{g}(a,b,c,d,e,\ldots \uplus\,)\, dN$$

$\int_{\exists\infty\,:\,\Delta\neq 0} \rho\cdot g^{\Omega}\cdot\zeta\cdot\Omega\cdot dx\cdot d\alpha \vdash \Omega \int_{\exists\infty\,:\,\Delta\neq 0} \mathcal{L}_f(\uparrow r\alpha s\Delta\eta)\wedge\overline{\mu}_{\{\overline{g}(a,b,c,d,e,\ldots\,\uplus\,)\neq\Omega\}}\, dN$

$\int \exists\infty\, s.t.:\ \triangle\mathcal{D}\Theta \cdot \uplus\mathcal{L} \cdot \mathcal{N} \int \exists\infty\, s.t.: \mathcal{N} \int \rho\cdot g^{\mathcal{O}}\cdot\zeta\cdot\Omega\cdot\triangle\mathcal{D}x\cdot\triangle\alpha\Omega \int \exists\infty\, s.t.:{}_{\Uparrow r,\alpha,s,\Delta,\eta}\mathcal{L}_f\ and$

$$\uplus_{a,b,c,d,e\ldots}\ \vdots\ \cdots\quad \overline{\mu}_g \ \Leftrightarrow\ \Omega$$

$\int \exists\infty\, such that\quad :\quad \mathrm{d}\Theta\circ\mathrm{g}^{\Omega}\circ\zeta\circ\Omega\circ\mathrm{d}x\circ\mathrm{d}\alpha\ \mid\ \Omega \int \exists\infty\, such that\quad :\quad \mathcal{L}_f(\Uparrow r\alpha s\Delta\eta)\wedge\mu_{\{\overline{g}(abcde\ldots\ \cdots\,\uplus\,)\neq\Omega\}} \to$

$\heartsuit \Rightarrow \mathcal{L}_f(\Uparrow r\alpha s\Delta\eta)\wedge\mu_{\{\overline{g}(abcde\ldots\,\uplus\,)\neq\Omega\}} \to \widetilde{\widetilde{\uplus\circ\heartsuit}} \Leftrightarrow \overset{\approx}{-} = \Lambda \Rightarrow\nwarrow\Rightarrow \{\overline{\mu}, \overline{g}(abcde\ldots\uplus\,)\} \Leftarrow$
$\Lambda\circ\uplus\circ\heartsuit$

$$\mathcal{L}_f\,(\Uparrow r,\alpha,s,\Delta,\eta)\ \wedge\ \overline{\mu}_{\left\{\overline{g}\left(a,b,c,d,e\ldots\ \vdots\ \cdots\ \uplus\ \right)\neq\ \Omega\right\}}\ \Leftrightarrow\ \bigcirc^{\{\mu\ \in\ \infty\ \Rightarrow\ (\Omega\ \uplus)\ <\ \Delta\cdot H^{\circ}_{\alpha i \epsilon m}\ >\ \}}\ \Rightarrow$$

$$\heartsuit\ \Rightarrow\ \ \mathcal{L}_f\,(\uparrow r,\alpha,s,\Delta,\eta)\ \ \wedge\ \ \overline{\mu}_{\{\overline{g}(a,b,c,d,e\ldots\ \uplus\ \ )\neq\ \Omega\}}\ \Rightarrow\ \ \uplus\stackrel{\approx}{\cdot}\heartsuit\ \Leftrightarrow\ \stackrel{\approx}{-}\ =\Lambda\ \Rightarrow$$
$$\nwarrow\Rightarrow\ \{\overline{\mu},\ \overline{g}\,(a,b,c,d,e\ldots\ \uplus\ \ )\}$$

$$\mathcal{L}_f\left(N,\rho\circ \mathrm{g}^{\Omega}\circ\zeta\circ\Omega\circ\frac{\partial}{\partial\alpha}\circ\frac{\partial}{\partial s}\circ\frac{\partial}{\partial\Delta}\circ\frac{\partial}{\partial\eta}\right)\wedge\overline{\mu}_{\{\overline{g}(a,b,c,d,e\ldots\uplus)\neq\Omega\}}\Rightarrow\ \heartsuit\Rightarrow$$

$$\mathrm{L}_f\left(N,\rho\circ \mathrm{g}^{\Omega}\circ\zeta\circ\Omega\circ\tfrac{\partial}{\partial\alpha}\circ\tfrac{\partial}{\partial s}\circ\tfrac{\partial}{\partial\Delta}\circ\tfrac{\partial}{\partial\eta}\right)\wedge\overline{\mu}_{\{\overline{g}(a,b,c,d,e\ldots\uplus)\neq\Omega\}}\Rightarrow\ \uplus\circ\heartsuit\Leftrightarrow$$
$$-=\Lambda\Rightarrow\nwarrow\Rightarrow\{\overline{\mu},\overline{g}(a,b,c,d,e\ldots\uplus)\}.$$

$$\int\exists\infty\ such that\int\rho\cdot g_{\Omega}\cdot\zeta\cdot\Omega\cdot\partial_{\alpha}\cdot\partial_{s}\cdot\partial_{\Delta}\cdot\partial_{\eta}\Diamond+$$
$$=\int_{-\infty}^{\infty}[\rho\cdot g_{\Omega}\cdot\zeta\cdot\Omega\cdot\partial_{\alpha}\cdot\partial_{s}\cdot\partial_{\Delta}\cdot\partial_{\eta}]\ dy$$

$$\exists n\in N\ \text{s.t.}\ \mathcal{L}_f\,(\Uparrow r\,\alpha\,s\,\Delta\,\eta)\wedge\overline{\mu}_{\left\{\overline{g}(a,b,c,d,e\ldots\cdots\uplus)\neq\Omega\right\}}$$

$$\Rightarrow\quad\mathcal{L}_f\,(\uparrow r\,\alpha\,s\,\Delta\,\eta)\wedge\overline{\mu}_{\left\{\overline{g}(a,b,c,d,e\ldots\uplus)\neq\Omega\right\}}$$

$$\Leftrightarrow\bigcirc^{\left\{\mu\in\infty\Rightarrow(\Omega\uplus)<\Delta\cdot H^{\circ}_{\alpha_i\epsilon m}\right\}}$$

$$\Rightarrow\heartsuit\Rightarrow\mathcal{L}_f\,(\Uparrow r\,\alpha\,s\,\Delta\,\eta)\wedge\overline{\mu}_{\left\{\overline{g}(a,b,c,d,e\ldots\uplus)\neq\Omega\right\}}$$

$$\Rightarrow\uplus\stackrel{\approx}{\cdot}\heartsuit\Leftrightarrow\stackrel{\approx}{-}=\Lambda\Rightarrow\nwarrow\Rightarrow\{\overline{\mu},\overline{g}\,(a,b,c,d,e\ldots\uplus)\}$$

$$\Rightarrow\Leftarrow\Lambda\cdot\uplus\heartsuit$$

$$\int_{\exists\infty\ \ s.t.:D_{\theta}\circ+D_{\alpha}\circ+D_{s}\circ+D_{\Delta}\circ+D_{\eta}}\mathcal{L}_f(\uparrow r\,\alpha\,s\,\Delta\,\eta)\wedge\overline{\mu}_{\{\overline{g}(a\,b\,c\,d\,e\ldots\ \uplus\ \ )\neq\ \Omega\ \}}\mathrm{d}\mathbf{x}\ =$$

$$\mathrm{N}\cdot\ \int_{\exists\infty\ \ s.t.:\rho\cdot g^{\Omega}\cdot\zeta\cdot\Omega\cdot D_x}\ \mathcal{L}_f(\uparrow r\,\alpha\,s\,\Delta\,\eta)\wedge\overline{\mu}_{\{\overline{g}(a\,b\,c\,d\,e\ldots\ \uplus\ \ )\neq\ \Omega\ \}}\mathrm{d}\mathbf{x}(3)$$

$$\int_{\theta}^{\infty}\overline{\mu}_{\overline{f}(a,b,c,d,e\ldots\ \uplus\ \ )}\,\mathrm{d}\theta\ \exists\ n\in N\quad s.t\quad\mathcal{L}(\uparrow r\,\alpha\,s\,\Delta\,\eta)\wedge\overline{\mu}_{\{\overline{g}(a,b,c,d,e\ldots\ \uplus\ \ )\neq\ \Omega}\ \Rightarrow$$

L($\uparrow r\,\alpha\,s\,\Delta\,\eta$)$\wedge\overline{\mu}_{\{\overline{g}(a,b,c,d,e\ldots\uplus\quad)\neq\Omega}\cdot g^{\Omega}(\infty)\zeta(\infty)\kappa(\infty)\Omega(\infty)\int_{\theta}N\frac{\partial x}{\partial\alpha}\rho\frac{d\theta}{d\rho}$.(4)

Subscript[β, $g_{a,b,c,d,e,\ldots,f,g,h,i,j,\ldots}$]$=g_f^{\Omega}\zeta_f\kappa_f\Omega_f\int_{\Theta}^{N}\partial_x\partial_\alpha\rho g_{\Theta}^{\Omega}\partial_\Theta\partial_s\partial_\Delta\partial_\eta$,

where g_f^{Ω} is the tensor's order, ζ_f is the weight function, κ_f is the factor of proportionality, and Ω_f is the coefficient of proportionality.

$$\sum_{n=\infty}^{\infty}\left(g^{\Omega}(f)\zeta(f)\kappa(f)\Omega(f)\int_{\infty}^{\partial x\partial\alpha\rho g^{\Omega}(\theta)\mathrm{d}\theta\mathrm{d}\overline{N}\mathrm{d}\Delta\mathrm{d}\eta\mu^{\Omega}}{}_{a,b,c,d,e\vdots\uplus f,g,h,i,\overline{\overline{j\downarrow}}}{}^{\Xi^{\Omega}_{\overline{N},\alpha,\theta,\Delta,\eta}\Pi^{\Omega}_{\infty}\Upsilon^{\Omega}_{\infty}\Phi^{\Omega}_{\infty}\chi^{\Omega}_{\infty}\Psi^{\Omega}_{\infty}\kappa^{\Omega}_{\infty,\theta,\lambda,\mu}}\right)$$
$$=\infty$$

$$\rho^{2g}\Omega^{<,\varphi,\chi,\psi>,<\theta,\lambda,\mu,\nu>_{\infty}}_{<g_{a,b,c,d,e\ldots\downarrow\uparrow},f,g,h,6,j\ldots\downarrow\uparrow>}=\frac{\rho^{2g}\Omega^{<,\varphi,\chi,\psi>,<\theta,\lambda,\mu,\nu>_{\infty}}_{<g_{a,b,c,d,e\ldots\downarrow\uparrow},f,g,h,6,j\ldots\downarrow\uparrow>}}{<\xi,\pi,\rho,\sigma>,<\theta,\lambda,\mu,\nu>_{\infty}}\tag{5}$$

$$\sum_{n=2}^{\infty}\sum_{\upsilon,\phi,\chi,\psi\langle\infty,\infty\rangle}^{\infty}\Omega^{1234}_{\kappa\langle\infty,\infty\rangle}\;\mu^{\pi}\Sigma^{\infty}_{\upsilon,\phi,\chi,\psi\langle\infty,\infty\rangle}\Omega^{\infty}_{\theta,\lambda,\mu\langle\infty,\infty\rangle}\Xi^{\infty}_{\pi,\rho,\sigma\langle\infty,\infty\rangle}$$

$\sum_{\infty\nu}\frac{\partial^n}{\partial\theta}f^{g,h,i\langle\infty,\infty\rangle}\left(g^{a,b,c,d\langle\infty,\infty\rangle}e\cdots\to\xi\to\nu\to\alpha\to\theta\to\delta\to\eta\to\mu(a,b,c,d,e\cdots\to,g,h,i\langle\infty,\infty\rangle)\right)\to$ $\rho^2\Omega^{\upsilon,\phi,\chi,\psi\langle\infty,\infty\rangle,\Omega,\xi,\pi,\sigma\langle\infty,\infty\rangle,\infty}_{\kappa\langle\infty,\infty\rangle\alpha^{\Omega\theta\lambda\mu}}\left(m_g\left(a,b,c,d,e\cdots\to,g,h,i\langle\infty,\infty\rangle\right)<\xi>\right)/\xi$.

$$\sum\nolimits_{\langle\Upsilon,\Phi,,\Psi\rangle_{\langle\Omega,\Xi,\Pi,,\Sigma\rangle_{\infty}}}^{\sum^{\infty}{}_{n=2}{}_{\langle\Omega,\Xi,\Pi,,\Sigma\rangle_{\langle\kappa,\theta,\lambda,\mu,\nu\rangle_{\infty}}}\;r^{\infty}_{\langle\Xi,\Pi,,\Sigma\rangle_{\langle\theta,\lambda,\mu,\nu\rangle_{\infty}}}\subset\sum_{(kx\ \epsilon)/(\alpha\ b\cdot b^{-1})\ \wedge\ \mu g_{\langle a,b,c,d,e\ldots\to\ \rangle}}{}^{(f,g,h,i,j\ldots\to)<\Omega\ \sigma^{\infty}_{\langle\Upsilon,\Phi,,\Psi\rangle_{\langle\Omega,\Xi,\Pi,,\Sigma\rangle_{\infty}}}}}\sum_{\langle f,g,h,i,j\rangle_{\langle\Xi,\Pi,,\Sigma\rangle_{\infty}}}$$

$$\Lambda\Rightarrow\sum_{n=2}^{\infty}\left(l\{\phi,\chi,\psi\}\to\infty\{\theta,\lambda,\mu,\nu\}\to\infty\xi\to\infty\sum_{\Omega\to\infty}\mu^{\pi}\sum_{\{\phi,\chi,\psi\}\to\infty\{\theta,\lambda,\mu,\nu\}\to\infty}^{\infty}\sum_{\omega\to\infty\xi\to\infty}^{\infty}\right)\frac{\partial^n f^{(g,h,i,j,\ldots)}}{\partial\theta}\pi\subset$$

$\bigcap^{\prime\mathcal{L}_n\langle\rangle\mu T\exists\infty\|\mathcal{L}_n\preceq\to f\Uparrow_r\alpha s\Delta\eta=\wedge!(\to g\Uparrow abcde\ldots\neq\Omega)\infty^{006}(\zeta\to-\langle\nabla h\rangle)\to kxp\|w^*\sim\left(\sqrt{x^{\smile}\frown+t^{\updownarrow,2}hc}\supset v^{\gamma\to\omega==Z\eta+\beta\gamma\delta\wp\psi}\right)}$

The Limbertwig Lateral Algebra Package examines the expression and checks for valid terms. The package will then use the terms to form a structure to define and/or solve the given expression. From this expression, the package will identify the following terms:

Λ, N, σ, $\mathrm{g_a}$, b, c, d, e, L, $\mathbf{x}$, α_i, $\heartsuit$, ϵ, $\exists$n, $\mathcal{L}_f$, $\uparrow$, r, α, s, Δ, η, μ, $\overline{g}$, $\uplus$, Ω, $\bigcirc$, $\uplus\tilde{\tilde{\cdot}}\heartsuit$, $\tilde{\tilde{-}}$, $\nwarrow$, $\Leftarrow$, $\oplus$, H°_{im}, $\otimes\tilde{\tilde{\oplus}}\heartsuit\}$ and $\sum_{n=2}^{\infty}$, $\{\phi,\chi,\psi\}$, $\{\theta,\lambda,\mu,\nu\}$, ξ, μ^{π}, $\partial^n f^{(g,h,i,j,\ldots)}$, $\{\phi,\chi,\psi\}\to\infty\{\theta,\lambda,\mu,\nu\}\to\infty$, $\omega\to\infty\xi\to\infty$, $\bigcap^{\prime\mathcal{L}_n\langle\rangle\mu T\exists\infty\|\mathcal{L}_n\preceq\to f\Uparrow_r\alpha s\Delta\eta=\wedge!(\to g\Uparrow abcde\ldots\neq\Omega)\infty^{006}(\zeta\to-\langle\nabla h\rangle)\to kxp\|w^*\sim\left(\sqrt{x^{\smile}\frown+t^{\updownarrow,2}hc}\supset v^{\gamma\to\omega==Z\eta+\beta\gamma\delta\wp\psi}\right)}$.

The package will then use these terms to form a structure that can be used to define and/or solve the given expression. In this case, the package will form a system of equations which will use the values of the terms within the expression to solve the equation.

The resulting system of equations for this expression is as follows:

$$\Lambda \cdot \uplus = \otimes \tilde{\oplus} \heartsuit \} N \cdot L = \exists n \in N \sigma \cdot \tilde{\mathrm{g}}_{\mathrm{a}} + \mathrm{b} + \mathrm{c} + \mathrm{d} + \mathrm{e} = \mathbf{x} \alpha_i \cdot \heartsuit =$$

$$\epsilon$$

$$\sum_{n=2}^{\infty} \left(l\{\phi, \chi, \psi\} \to \infty\{\theta, \lambda, \mu, \nu\} \to \infty\xi \to \infty \sum_{\Omega\to\infty} \mu^{\pi} \sum_{\{\phi,\chi,\psi\}\to\infty\{\theta,\lambda,\mu,\nu\}\to\infty}^{\infty} \sum_{\omega\to\infty\xi\to\infty}^{\infty} \right)$$

$$\frac{\partial^n f^{(g,h,i,j,\ldots)}}{\partial\theta} =$$

$$\pi \subset \bigcap_{\prime \mathcal{L}_n \langle\rangle \mu T \exists \infty \| \mathcal{L}_n \preceq \to f \Uparrow_r \alpha s \Delta \eta \wedge !(\to g \Uparrow abcde \ldots \neq \Omega) \infty^{006} (\zeta \to - \langle \nabla h \rangle) = kxp \| w^* \sim \left(\sqrt{x^{\smile} \frown + t^{\updownarrow, 2} hc} \supset v^{\gamma \to \omega == Z\eta + \beta\gamma\delta\wp\psi} \right)}$$

The Limbertwig Lateral Algebra Package can then be used to solve these equations and provide the solution.