

# Image processing algorithm to identify structure of tumour spheroids with cell cycle labelling

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**Algorithm 1** Image processing algorithm using MATLAB R2021a (Mathworks).

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1: Adjust contrast and exposure and mask spheroid of image using `AdjustRawImages.mlapp`. Output is a 4-layer `tif` file with the following channels:

`raw(:,:,1)` (not used)

`raw(:,:,2)` FUCCI green (Fig. 1b), corresponding to cells in gap 2.

`raw(:,:,3)` FUCCI red (Fig. 1a), corresponding to cells in gap 2.

`raw(:,:,4)` (not used)

2: Identify cells.

1: Obtain composite image `all = raw(:,:,2) + raw(:,:,3)` (Fig. 1c).

2: Apply the texture filter `stdfilt` and adjust gamma (1.1) to boost the signal (Fig. 1d).

3: Binarize using `imbinarize` to obtain `msk` (Fig. 1e).

4: Identify spheroid and necrotic core.

1: Dilate and then erode `msk` using a disk with radius 8 pixels to fill in gaps between cells.

2: Remove unconnected regions with an area less than 10000 pixels from `msk`.

3: Obtain convex hull of `msk`, named `cvx`, and convex area, `Acvx` (Fig. 1f). The spheroid radius (in pixels) is given by  $\sqrt{A_{cvx}/\pi}$ . Scale appropriately to obtain  $R_{\text{spheroid}}$ .

4: Obtain the mask of the necrotic core, `msk2 = msk1 - msk`, where `msk1` is `msk` with all holes filled (Fig. 1g). An equivalent necrotic core radius (in pixels) is given by  $\sqrt{A_{msk2}/\pi}$  where `Amsk2` is the area of `msk2`. Scale appropriately to obtain  $R_{\text{necrotic}}$ .

5: Obtain green pixel intensity distribution.

1: For each pixel in `cvx`, calculate the distance to the edge (nearest zero) in `cvx`,  $d_i$ , and the intensity of the FUCCI green channel `raw(:,:,2)`,  $g_i$  (Fig. 1h).

2: Calculate relative pixel intensity,  $I(r)$ , given by

$$I(r) = \frac{\sum_i \mathbf{1}(r - \Delta r/2 \leq d_i \leq r + \Delta r/2) \times g_i}{\sum_i \mathbf{1}(r - \Delta r/2 \leq d_i \leq r + \Delta r/2)}, \quad (1)$$

where  $\Delta r = \max(d_i)/100$  is the bin-width and  $\mathbf{1}(\cdot)$  is an indicator function. We calculate  $I(r)$  at 100 equally spaced points from  $\Delta r$  to  $\max(d_i) - \Delta r$  (Fig. 1i).

3: Smooth observed intensity distribution by fitting a Gompertz function,

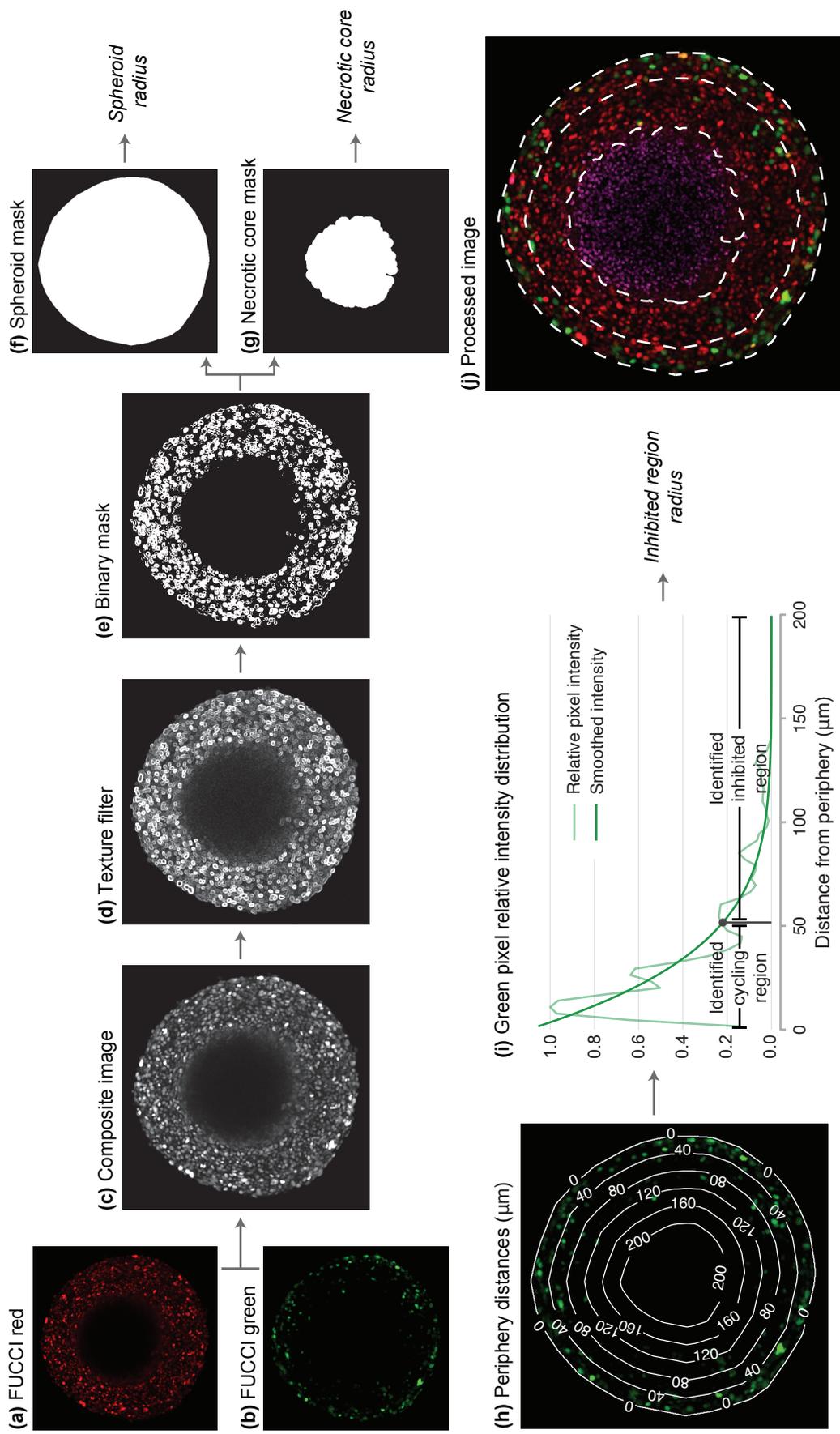
$$I_{\text{smooth}}(r) = p_1 \exp(-\exp(p_2(r - p_3))), \quad (2)$$

to  $I(r)$  using least squares (Fig. 1i).

4: If  $I_{\text{smooth}}(\max(d_i)) > g_{\text{thresh}} I_{\text{smooth}}(0)$ , there is no inhibited region. Else, calculate the distance from the periphery,  $r_{\text{crit}}$ , implicitly defined by  $I_{\text{smooth}}(r_{\text{crit}}) = g_{\text{thresh}} I_{\text{smooth}}(0)$ . The inhibited radius is given by  $R_{\text{inhibited}} = R_{\text{spheroid}} - g_{\text{thresh}}$ . Here,  $g_{\text{thresh}} = 0.2$  is a tuneable threshold parameter.

6: Save results. The processed spheroid image is shown in Fig. 1j.

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**Figure 1**