

Creative Magic Squares: Increasing and Decreasing Orders Crazy Representations

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Abstract

*This paper brings magic squares of orders 3 to 10 in terms of **crazy representations**. These representations are of three types. One in increasing order of digits starting from 1. The second in decreasing order of digits ending in 1. The third is also in decreasing orders ending in 0. These representations are neither ending or starting from 9. Minimum possible representation way is applied. For example, we can write 123 as 123 or $4! \times 3! - 21$ or $3 + ((2 + 1)! - 0!)!$. These representations are with two extra operations, such as **factorial** and **square-root**. The magic squares from the order 3 to 9 are written only in once, where the magic square of order 10 is written twice. One as a normal way, the second as **block-bordered**, where inner part as **block-wise pandiagonal** magic square of order 8 with equal sum blocks of order 4. Previous works of similar kind is done with **single digit** [15], **single letter** [16] and **permutable base-power** [17].*

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1 Crazy Representations

In recent works [7, 8, 9, 10, 11, 12, 13], the author worked with **magic squares**. These works include **block-wise** and **block-bordered** magic square from order 3 to 47. Summarized work on magic square can be seen in [14]. Below are basic magic squares of orders 3 to 10, and their representations in three different ways. in terms of single letters. One in increasing order of digits starting from 1. The second in decreasing order of digits ending in 1. The third is also in decreasing orders ending in 0. These representations are neither ending or starting from 9. Minimum possible representation way is applied. For example, we can write 123 as 123 or $4! \times 3! - 21$ or $3 + ((2 + 1)! - 0!)!$. These representations are with two extra operations, such as **factorial** and **square-root**. Few exercises are also written. For similar kind of work using **single digit**, **single letter** and **permutable base-power** can be seen in [15, 16, 17]. Work on crazy representations can be seen in [1, 2, 3, 4, 5, 6].

2 Magic Square of Order 3

Example 2.1. *Let’s consider a magic square of order 3 is given by*

			15
8	1	6	15
3	5	7	15
4	9	2	15
15	15	15	15

2.1 Examples

The examples below are based on the Example 2.1. These are written in three different ways. One in increasing order of crazy representations starting with 1. The other two are in decreasing orders ending in 1 and 0.

Example 2.2. Based on *crazy representations* given in Appendix 12.1, the magic square of order 3 given in Example 2.1 is given by

			12 + 3
1×2^3	1	$(1 + 2)!$	12 + 3
1 + 2	$1 \times 2 + 3$	$1 + 2 \times 3$	12 + 3
12/3	$12 - 3$	1×2	12 + 3
12 + 3	12 + 3	12 + 3	12 + 3

Example 2.3. Based on *crazy representations* given in Appendix 12.2, the magic square of order 3 given in Example 2.1 is given by

			$-3! + 21$
$3^2 - 1$	1	$(2 + 1)!$	$-3! + 21$
2 + 1	$3 \times 2 - 1$	$3 \times 2 + 1$	$-3! + 21$
$3 + 2 - 1$	$3^2 \times 1$	2×1	$-3! + 21$
$-3! + 21$	$-3! + 21$	$-3! + 21$	$-3! + 21$

Example 2.4. Based on *crazy representations* given in Appendix 12.3, the magic square of order 3 given in Example 2.1 is given by

			3 + 2 + 10
$-2 + 10$	0!	$(2 + 1)! \times 0!$	3 + 2 + 10
$2 + 1 \times 0!$	$(2 + 1)! - 0!$	$(2 + 1)! + 0!$	3 + 2 + 10
$2 + 1 + 0!$	$3^2 \times 1 \times 0!$	1 + 0!	3 + 2 + 10
3 + 2 + 10	3 + 2 + 10	3 + 2 + 10	3 + 2 + 10

2.2 Exercises

Exercise 2.1. Using the *crazy representations* given in Appendix 12.1, write the magic square of order 3 given below in terms of numbers:

			$1 \times 2^{3!} + \sqrt{4}$
$(1 + 2) \times (3 + 4)$	$1 - 2 + 34$	12	$1 \times 2^{3!} + \sqrt{4}$
$1 + 2 \times 3!$	$-1 + 23$	$-1 - 2 + 34$	$1 \times 2^{3!} + \sqrt{4}$
$12 \times 3 - 4$	$-1 + 2 \times 3!$	1×23	$1 \times 2^{3!} + \sqrt{4}$
$1 \times 2^{3!} + \sqrt{4}$	$1 \times 2^{3!} + \sqrt{4}$	$1 \times 2^{3!} + \sqrt{4}$	$1 \times 2^{3!} + \sqrt{4}$

Exercise 2.2. Using the *crazy representations* given in Appendix 12.2, write the magic square of order 3 given below in terms of numbers:

			$4^3 + 2 \times 1$
21	$32 + 1$	$3! \times 2 \times 1$	$4^3 + 2 \times 1$
$3! \times 2 + 1$	$43 - 21$	$32 - 1$	$4^3 + 2 \times 1$
32×1	$3! \times 2 - 1$	$(3! - 2)! - 1$	$4^3 + 2 \times 1$
$4^3 + 2 \times 1$	$4^3 + 2 \times 1$	$4^3 + 2 \times 1$	$4^3 + 2 \times 1$

Exercise 2.3. Using the *crazy representations* given in Appendix 12.3, write the magic square of order 3 given below in terms of numbers:

			$3 \times (21 + 0!)$
$21 \times 0!$	$32 + 1 \times 0!$	$2 + 10$	$3 \times (21 + 0!)$
$3!/2 + 10$	$21 + 0!$	$32 - 1 \times 0!$	$3 \times (21 + 0!)$
$\sqrt{2^{10}}$	$3 - 2 + 10$	$3 + 2 \times 10$	$3 \times (21 + 0!)$
$3 \times (21 + 0!)$	$3 \times (21 + 0!)$	$3 \times (21 + 0!)$	$3 \times (21 + 0!)$

3 Magic Square of Order 4

Example 3.1. Let’s consider a *pandiagonal* magic square of order 4 given by

		34	34	34	34
	7	12	1	14	34
34	2	13	8	11	34
34	16	3	10	5	34
34	9	6	15	4	34
	34	34	34	34	34

3.1 Examples

The examples below are based on the Example 3.1. These are written in three different ways. One in increasing order of crazy representations starting with 1. The other two are in decreasing orders ending in 1 and 0.

Example 3.2. Based on *crazy representations* given in Appendix 12.1, the **pandiagonal** magic square of order 4 given in Example 3.1 is given by

		$1^2 \times 34$	$1^2 \times 34$	$1^2 \times 34$	$1^2 \times 34$
	$1 + 2 \times 3$	12	1	$1 \times 2 \times (3 + 4)$	$1^2 \times 34$
$1^2 \times 34$	1×2	$1 + 2 \times 3!$	1×2^3	$-1 + 2 \times 3!$	$1^2 \times 34$
$1^2 \times 34$	$12/3 \times 4$	$1 + 2$	$\sqrt{12 \times 3} + 4$	$1 \times 2 + 3$	$1^2 \times 34$
$1^2 \times 34$	$12 - 3$	$(1 + 2)!$	$12 + 3$	$12/3$	$1^2 \times 34$
	$1^2 \times 34$	$1^2 \times 34$	$1^2 \times 34$	$1^2 \times 34$	$1^2 \times 34$

Example 3.3. Based on *crazy representations* given in Appendix 12.2, the **pandiagonal** magic square of order 4 given in Example 3.1 is given by

		$4! + 3^2 + 1$	$4! + 3^2 + 1$	$4! + 3^2 + 1$	$4! + 3^2 + 1$
	$3 \times 2 + 1$	$3! \times 2 \times 1$	1	$(4 + 3) \times 2 \times 1$	$4! + 3^2 + 1$
$4! + 3^2 + 1$	2×1	$3! \times 2 + 1$	$3^2 - 1$	$3! \times 2 - 1$	$4! + 3^2 + 1$
$4! + 3^2 + 1$	$4 \times (3 + 2 - 1)$	$2 + 1$	$3^2 + 1$	$3 \times 2 - 1$	$4! + 3^2 + 1$
$4! + 3^2 + 1$	$3^2 \times 1$	$(2 + 1)!$	$-3! + 21$	$3 + 2 - 1$	$4! + 3^2 + 1$
	$4! + 3^2 + 1$	$4! + 3^2 + 1$	$4! + 3^2 + 1$	$4! + 3^2 + 1$	$4! + 3^2 + 1$

Example 3.4. Based on *crazy representations* given in Appendix 12.3, the **pandiagonal** magic square of order 4 given in Example 3.1 is given by

		$32 + 1 + 0!$	$32 + 1 + 0!$	$32 + 1 + 0!$	$32 + 1 + 0!$
	$(2 + 1)! + 0!$	$2 + 10$	$0!$	$3! - 2 + 10$	$32 + 1 + 0!$
$32 + 1 + 0!$	$1 + 0!$	$3!/2 + 10$	$-2 + 10$	$3 - 2 + 10$	$32 + 1 + 0!$
$32 + 1 + 0!$	$3 \times 2 + 10$	$2 + 1 \times 0!$	$(3 - 2) \times 10$	$(2 + 1)! - 0!$	$32 + 1 + 0!$
$32 + 1 + 0!$	$3^2 \times 1 \times 0!$	$(2 + 1)! \times 0!$	$3 + 2 + 10$	$2 + 1 + 0!$	$32 + 1 + 0!$
	$32 + 1 + 0!$	$32 + 1 + 0!$	$32 + 1 + 0!$	$32 + 1 + 0!$	$32 + 1 + 0!$

3.2 Exercises

Exercise 3.1. Using the *crazy representations* given in Appendix 12.1, write the magic square of order 4 given below in terms of numbers:

		$(-12 + 34) \times 5$	$(-12 + 34) \times 5$	$(-12 + 34) \times 5$	$(-12 + 34) \times 5$
	1×23	$1^2 \times 34$	$-1 + 2 \times 3!$	$12 + 3! + 4!$	$(-12 + 34) \times 5$
$(-12 + 34) \times 5$	12	$-1 + 2 \times (-3 + 4!)$	$1 + 23$	$1 - 2 + 34$	$(-12 + 34) \times 5$
$(-12 + 34) \times 5$	$(-1 + 23) \times \sqrt{4}$	$1 + 2 \times 3!$	$12 \times 3 - 4$	$(1 + 2) \times (3 + 4)$	$(-12 + 34) \times 5$
$(-12 + 34) \times 5$	$-1 - 2 + 34$	$-1 + 23$	$1 + 2 \times (-3 + 4!)$	$1 \times 2 \times (3 + 4)$	$(-12 + 34) \times 5$
	$(-12 + 34) \times 5$	$(-12 + 34) \times 5$	$(-12 + 34) \times 5$	$(-12 + 34) \times 5$	$(-12 + 34) \times 5$

Exercise 3.2. Using the **crazy representations** given in Appendix 12.2, write the magic square of order 4 given below in terms of numbers:

		$5 \times (43 - 21)$	$5 \times (43 - 21)$	$5 \times (43 - 21)$	$5 \times (43 - 21)$
	$(3! - 2)! - 1$	$4! + 3^2 + 1$	$3! \times 2 - 1$	$43 - 2 + 1$	$5 \times (43 - 21)$
$5 \times (43 - 21)$	$3! \times 2 \times 1$	$43 - 2 \times 1$	$3 + 21$	$32 + 1$	$5 \times (43 - 21)$
$5 \times (43 - 21)$	$43 + 2 - 1$	$3! \times 2 + 1$	32×1	21	$5 \times (43 - 21)$
$5 \times (43 - 21)$	$32 - 1$	$43 - 21$	$4^3 - 21$	$(4 + 3) \times 2 \times 1$	$5 \times (43 - 21)$
	$5 \times (43 - 21)$	$5 \times (43 - 21)$	$5 \times (43 - 21)$	$5 \times (43 - 21)$	$5 \times (43 - 21)$

Exercise 3.3. Using the **crazy representations** given in Appendix 12.3, write the magic square of order 4 given below in terms of numbers:

		$(3 + 2)! - 10$	$(3 + 2)! - 10$	$(3 + 2)! - 10$	$(3 + 2)! - 10$
	$3 + 2 \times 10$	$32 + 1 + 0!$	$3 - 2 + 10$	$32 + 10$	$(3 + 2)! - 10$
$(3 + 2)! - 10$	$2 + 10$	$43 - 2 \times 1 \times 0!$	$(2 + 1 + 0!)!$	$32 + 1 \times 0!$	$(3 + 2)! - 10$
$(3 + 2)! - 10$	$43 + (21 \times 0)!$	$3!/2 + 10$	$\sqrt{2^{10}}$	$21 \times 0!$	$(3 + 2)! - 10$
$(3 + 2)! - 10$	$32 - 1 \times 0!$	$21 + 0!$	$43 + 21 \times 0$	$3! - 2 + 10$	$(3 + 2)! - 10$
	$(3 + 2)! - 10$	$(3 + 2)! - 10$	$(3 + 2)! - 10$	$(3 + 2)! - 10$	$(3 + 2)! - 10$

4 Magic Square of Order 5

Example 4.1. Let’s consider a **pandiagonal** magic square of order 5 given by

		65	65	65	65	65
	1	9	12	20	23	65
65	17	25	3	6	14	65
65	8	11	19	22	5	65
65	24	2	10	13	16	65
65	15	18	21	4	7	65
	65	65	65	65	65	65

4.1 Examples

The examples below are based on the Example 4.1. These are written in three different ways. One in increasing order of crazy representations starting with 1. The other two are in decreasing orders ending in 1 and 0.

Example 4.2. Based on *crazy representations* given in Appendix 12.1, the **pandiagonal** magic square of order 5 given in Example 4.1 is given by

		$1 + 2^{3!}$	$1 + 2^{3!}$	$1 + 2^{3!}$	$1 + 2^{3!}$	$1 + 2^{3!}$
	1	$12 - 3$	12	$1 + 23 - 4$	1×23	$1 + 2^{3!}$
$1 + 2^{3!}$	$12 + 3 + \sqrt{4}$	$1 + (-2 + 3!)!$	$1 + 2$	$(1 + 2)!$	$1 \times 2 \times (3 + 4)$	$1 + 2^{3!}$
$1 + 2^{3!}$	1×2^3	$-1 + 2 \times 3!$	$1 \times 23 - 4$	$-1 + 23$	$1 \times 2 + 3$	$1 + 2^{3!}$
$1 + 2^{3!}$	$1 + 23$	1×2	$\sqrt{12 \times 3} + 4$	$1 + 2 \times 3!$	$12/3 \times 4$	$1 + 2^{3!}$
$1 + 2^{3!}$	$12 + 3$	$12 + 3!$	$(1 + 2) \times (3 + 4)$	$12/3$	$1 + 2 \times 3$	$1 + 2^{3!}$
	$1 + 2^{3!}$	$1 + 2^{3!}$	$1 + 2^{3!}$	$1 + 2^{3!}$	$1 + 2^{3!}$	$1 + 2^{3!}$

Example 4.3. Based on *crazy representations* given in Appendix 12.2, the **pandiagonal** magic square of order 5 given in Example 4.1 is given by

		$4^3 + 2 - 1$	$4^3 + 2 - 1$	$4^3 + 2 - 1$	$4^3 + 2 - 1$	$4^3 + 2 - 1$
	1	$3^2 \times 1$	$3! \times 2 \times 1$	$4 \times (3 \times 2 - 1)$	$(3! - 2)! - 1$	$4^3 + 2 - 1$
$4^3 + 2 - 1$	$\sqrt{4} - 3! + 21$	$(3! - 2)! + 1$	$2 + 1$	$(2 + 1)!$	$(4 + 3) \times 2 \times 1$	$4^3 + 2 - 1$
$4^3 + 2 - 1$	$3^2 - 1$	$3! \times 2 - 1$	$4 - 3! + 21$	$43 - 21$	$3 \times 2 - 1$	$4^3 + 2 - 1$
$4^3 + 2 - 1$	$3 + 21$	2×1	$3^2 + 1$	$3! \times 2 + 1$	$4 \times (3 + 2 - 1)$	$4^3 + 2 - 1$
$4^3 + 2 - 1$	$-3! + 21$	$-3 + 21$	21	$3 + 2 - 1$	$3 \times 2 + 1$	$4^3 + 2 - 1$
	$4^3 + 2 - 1$	$4^3 + 2 - 1$	$4^3 + 2 - 1$	$4^3 + 2 - 1$	$4^3 + 2 - 1$	$4^3 + 2 - 1$

Example 4.4. Based on *crazy representations* given in Appendix 12.3, the **pandiagonal** magic square of order 5 given in Example 4.1 is given by

		$43 + 21 + 0!$	$43 + 21 + 0!$	$43 + 21 + 0!$	$43 + 21 + 0!$	$43 + 21 + 0!$
	0!	$3^2 \times 1 \times 0!$	$2 + 10$	2×10	$3 + 2 \times 10$	$43 + 21 + 0!$
$43 + 21 + 0!$	$-3 + 2 \times 10$	$3 + 21 + 0!$	$2 + 1 \times 0!$	$(2 + 1)! \times 0!$	$3! - 2 + 10$	$43 + 21 + 0!$
$43 + 21 + 0!$	$-2 + 10$	$3 - 2 + 10$	$3^2 + 10$	$21 + 0!$	$(2 + 1)! - 0!$	$43 + 21 + 0!$
$43 + 21 + 0!$	$(2 + 1 + 0!)!$	$1 + 0!$	$(3 - 2) \times 10$	$3!/2 + 10$	$3 \times 2 + 10$	$43 + 21 + 0!$
$43 + 21 + 0!$	$3 + 2 + 10$	$3! + 2 + 10$	$21 \times 0!$	$2 + 1 + 0!$	$(2 + 1)! + 0!$	$43 + 21 + 0!$
	$43 + 21 + 0!$	$43 + 21 + 0!$	$43 + 21 + 0!$	$43 + 21 + 0!$	$43 + 21 + 0!$	$43 + 21 + 0!$

4.2 Exercises

Exercise 4.1. Using the *crazy representations* given in Appendix 12.1, write the magic square of order 5 given below in terms of numbers:

		$(1 - 2 + 34) \times 5$	$(1 - 2 + 34) \times 5$	$(1 - 2 + 34) \times 5$	$(1 - 2 + 34) \times 5$	$(1 - 2 + 34) \times 5$
	$-1 + 2 \times 3!$	$-1 + 23$	$1 - 2 + 34$	$(-1 + 23) \times \sqrt{4}$	$1 + 2 \times (3 + 4!)$	$(1 - 2 + 34) \times 5$
$(1 - 2 + 34) \times 5$	$1 + 2 \times (-3 + 4!)$	$1 \times 2 \times (3 + 4!)$	$12 + 3$	$(1 + 2) \times (3 + 4)$	$12 \times 3 - 4$	$(1 - 2 + 34) \times 5$
$(1 - 2 + 34) \times 5$	$1 + (-2 + 3!)!$	$-1 - 2 + 34$	$12 + 3! + 4!$	$-1 + 2 \times (3 + 4!)$	$1 \times 2 \times (3 + 4)$	$(1 - 2 + 34) \times 5$
$(1 - 2 + 34) \times 5$	$(1 + 2 \times 3!) \times 4$	$1 + 2 \times 3!$	$1 + 23$	$1^2 + 34$	$-1 + 2 \times (-3 + 4!)$	$(1 - 2 + 34) \times 5$
$(1 - 2 + 34) \times 5$	$1^2 \times 34$	$-1 + 23 \times \sqrt{4}$	$(1 + 2)^3 + 4!$	12	1×23	$(1 - 2 + 34) \times 5$
	$(1 - 2 + 34) \times 5$	$(1 - 2 + 34) \times 5$	$(1 - 2 + 34) \times 5$	$(1 - 2 + 34) \times 5$	$(1 - 2 + 34) \times 5$	$(1 - 2 + 34) \times 5$

Exercise 4.2. Using the *crazy representations* given in Appendix 12.2, write the magic square of order 5 given below in terms of numbers:

		$4! \times 3! + 21$	$4! \times 3! + 21$	$4! \times 3! + 21$	$4! \times 3! + 21$	$4! \times 3! + 21$
	$3! \times 2 - 1$	$43 - 21$	$32 + 1$	$43 + 2 - 1$	$4! + 32 - 1$	$4! \times 3! + 21$
$4! \times 3! + 21$	$4^3 - 21$	$\sqrt{4} \times (3! + 21)$	$-3! + 21$	21	32×1	$4! \times 3! + 21$
$4! \times 3! + 21$	$(3! - 2)! + 1$	$32 - 1$	$43 - 2 + 1$	$(4! + 3) \times 2 - 1$	$(4 + 3) \times 2 \times 1$	$4! \times 3! + 21$
$4! \times 3! + 21$	$4 \times (3! \times 2 + 1)$	$3! \times 2 + 1$	$3 + 21$	$3!^2 - 1$	$43 - 2 \times 1$	$4! \times 3! + 21$
$4! \times 3! + 21$	$4! + 3^2 + 1$	$43 + 2 \times 1$	$4! \times 3 - 21$	$3! \times 2 \times 1$	$(3! - 2)! - 1$	$4! \times 3! + 21$
	$4! \times 3! + 21$	$4! \times 3! + 21$	$4! \times 3! + 21$	$4! \times 3! + 21$	$4! \times 3! + 21$	$4! \times 3! + 21$

Exercise 4.3. Using the *crazy representations* given in Appendix 12.3, write the magic square of order 5 given below in terms of numbers:

		$4! \times 3! + 21 \times 0!$	$4! \times 3! + 21 \times 0!$	$4! \times 3! + 21 \times 0!$	$4! \times 3! + 21 \times 0!$	$4! \times 3! + 21 \times 0!$
	$3 - 2 + 10$	$21 + 0!$	$32 + 1 \times 0!$	$43 + (21 \times 0)!$	$43 + 2 + 10$	$4! \times 3! + 21 \times 0!$
$4! \times 3! + 21 \times 0!$	$43 + 21 \times 0$	$4 + (3 + 2) \times 10$	$3 + 2 + 10$	$21 \times 0!$	$\sqrt{2^{10}}$	$4! \times 3! + 21 \times 0!$
$4! \times 3! + 21 \times 0!$	$3 + 21 + 0!$	$32 - 1 \times 0!$	$32 + 10$	$(4! + 3) \times 2 - 1 \times 0!$	$3! - 2 + 10$	$4! \times 3! + 21 \times 0!$
$4! \times 3! + 21 \times 0!$	$4^3 - 2 - 10$	$3!/2 + 10$	$(2 + 1 + 0!)!$	$3!^2 - 1 \times 0!$	$43 - 2 \times 1 \times 0!$	$4! \times 3! + 21 \times 0!$
$4! \times 3! + 21 \times 0!$	$32 + 1 + 0!$	$43 + 2 \times 1 \times 0!$	$43 - 2 + 10$	$2 + 10$	$3 + 2 \times 10$	$4! \times 3! + 21 \times 0!$
	$4! \times 3! + 21 \times 0!$	$4! \times 3! + 21 \times 0!$	$4! \times 3! + 21 \times 0!$	$4! \times 3! + 21 \times 0!$	$4! \times 3! + 21 \times 0!$	$4! \times 3! + 21 \times 0!$

5 Magic Square of Order 6

Example 5.1. Let’s consider a magic square of order 6 given by

						111
1	35	34	33	2	6	111
30	8	28	9	11	25	111
24	23	15	16	20	13	111
18	14	21	22	17	19	111
7	26	10	27	29	12	111
31	5	3	4	32	36	111
111	111	111	111	111	111	111

5.1 Examples

The examples below are based on the Example 5.1. These are written in three different ways. One in increasing order of crazy representations starting with 1. The other two are in decreasing orders ending in 1 and 0.

Example 5.2. Based on *crazy representations* given in Appendix 12.1, the magic square of order 6 given in Example 5.1 is given by

						$-12 \times 3/4 + 5!$
1	$1^2 + 34$	$1^2 \times 34$	$1 - 2 + 34$	1×2	$(1 + 2)!$	$-12 \times 3/4 + 5!$
$(12 + 3) \times \sqrt{4}$	1×2^3	$1 + 23 + 4$	$12 - 3$	$-1 + 2 \times 3!$	$1 + (-2 + 3)!$	$-12 \times 3/4 + 5!$
$1 + 23$	1×23	$12 + 3$	$12/3 \times 4$	$1 + 23 - 4$	$1 + 2 \times 3!$	$-12 \times 3/4 + 5!$
$12 + 3!$	$1 \times 2 \times (3 + 4)$	$(1 + 2) \times (3 + 4)$	$-1 + 23$	$12 + 3 + \sqrt{4}$	$1 \times 23 - 4$	$-12 \times 3/4 + 5!$
$1 + 2 \times 3$	$1 + 23 + \sqrt{4}$	$\sqrt{12 \times 3} + 4$	$(1 + 2)^3$	$1 \times 2 + 3 + 4!$	12	$-12 \times 3/4 + 5!$
$-1 - 2 + 34$	$1 \times 2 + 3$	$1 + 2$	$12/3$	$12 \times 3 - 4$	12×3	$-12 \times 3/4 + 5!$
$-12 \times 3/4 + 5!$	$-12 \times 3/4 + 5!$	$-12 \times 3/4 + 5!$	$-12 \times 3/4 + 5!$	$-12 \times 3/4 + 5!$	$-12 \times 3/4 + 5!$	$-12 \times 3/4 + 5!$

Example 5.3. Based on *crazy representations* given in Appendix 12.2, the magic square of order 6 given in Example 5.1 is given by

						$5! - 4 - 3 - 2 \times 1$
1	$3!^2 - 1$	$\sqrt{4} + 32 \times 1$	$\sqrt{4} + 32 \times 1$	2×1	$(2 + 1)!$	$5! - 4 - 3 - 2 \times 1$
$-\sqrt{4} + 32 \times 1$	$3^2 - 1$	$4 + 3 + 21$	$3^2 \times 1$	$3! \times 2 - 1$	$(3! - 2)! + 1$	$5! - 4 - 3 - 2 \times 1$
$3 + 21$	$(3! - 2)! - 1$	$-3! + 21$	$4 \times (3 + 2 - 1)$	$4 \times (3 \times 2 - 1)$	$3! \times 2 + 1$	$5! - 4 - 3 - 2 \times 1$
$-3 + 21$	$(4 + 3) \times 2 \times 1$	21	$43 - 21$	$(\sqrt{4} - 3!) + 21$	$4 - 3! + 21$	$5! - 4 - 3 - 2 \times 1$
$3 \times 2 + 1$	$\sqrt{4} + 3 + 21$	$3^2 + 1$	$3! + 21$	$\sqrt{4^3} + 21$	$3! \times 2 \times 1$	$5! - 4 - 3 - 2 \times 1$
$32 - 1$	$3 \times 2 - 1$	$3=2 + 1$	$3 + 2 - 1$	32×1	$3!^2 \times 1$	$5! - 4 - 3 - 2 \times 1$
$5! - 4 - 3 - 2 \times 1$	$5! - 4 - 3 - 2 \times 1$	$5! - 4 - 3 - 2 \times 1$	$5! - 4 - 3 - 2 \times 1$	$5! - 4 - 3 - 2 \times 1$	$5! - 4 - 3 - 2 \times 1$	$5! - 4 - 3 - 2 \times 1$

Example 5.4. Based on *crazy representations* given in Appendix 12.3, the magic square of order 6 given in Example 5.1 is given by

						$-5 - 4 + 3! \times 2 \times 10$
$0!$	$3!^2 - 1 \times 0!$	$32 + 1 + 0!$	$32 + 1 \times 0!$	$1 + 0!$	$(2 + 1)! \times 0!$	$-5 - 4 + 3! \times 2 \times 10$
$32 - 1 - 0!$	$-2 + 10$	$3! + 21 + 0!$	$3^2 \times 1 \times 0!$	$3 - 2 + 10$	$3 + 21 + 0!$	$-5 - 4 + 3! \times 2 \times 10$
$(2 + 1 + 0!)!$	$3 + 2 \times 10$	$3 + 2 + 10$	$3 \times 2 + 10$	2×10	$3!/2 + 10$	$-5 - 4 + 3! \times 2 \times 10$
$3! + 2 + 10$	$3! - 2 + 10$	$21 \times 0!$	$21 + 0!$	$-3 + 2 \times 10$	$3^2 + 10$	$-5 - 4 + 3! \times 2 \times 10$
$(2 + 1)! + 0!$	$3! + 2 \times 10$	10	$3! + 21 \times 0!$	$-3 + \sqrt{2^{10}}$	$2 + 10$	$-5 - 4 + 3! \times 2 \times 10$
$32 - 1 \times 0!$	$(2 + 1)! - 0!$	$2 + 1 \times 0!$	$2 + 1 + 0!$	$\sqrt{2^{10}}$	$3 \times (2 + 10)$	$-5 - 4 + 3! \times 2 \times 10$
$-5 - 4 + 3! \times 2 \times 10$	$-5 - 4 + 3! \times 2 \times 10$	$-5 - 4 + 3! \times 2 \times 10$	$-5 - 4 + 3! \times 2 \times 10$	$-5 - 4 + 3! \times 2 \times 10$	$-5 - 4 + 3! \times 2 \times 10$	$-5 - 4 + 3! \times 2 \times 10$

5.2 Exercises

Exercise 5.1. Using the *crazy representations* given in Appendix 12.1, write the magic square of order 6 given below in terms of numbers:

						$(1 + 2)!!/3 - 4 - 5$
$-1 + 2 \times 3!$	$1 + 2^{3!}$	$1 \times 2^{3!}$	$-1 + 2^{3!}$	12	$12/3 \times 4$	$(1 + 2)!!/3 - 4 - 5$
$12 \times 3 + 4 \times 5$	$-1 + 23$	$1 \times 2 \times (3 + 4!)$	1×23	$1 + (-2 + 3!)!$	$(1 + 2)^3 + 4!$	$(1 + 2)!!/3 - 4 - 5$
$12 + 34$	$-1 + 23 \times \sqrt{4}$	$1 - 2 + 34$	$1^2 \times 34$	$12 + 3! + 4!$	$-1 - 2 + 34$	$(1 + 2)!!/3 - 4 - 5$
12×3	12×3	12×3	$(-1 + 23) \times \sqrt{4}$	$1^2 + 34$	$-1 + 2 \times (-3 + 4!)$	$(1 + 2)!!/3 - 4 - 5$
$(1 + 2) \times (3 + 4)$	$(1 + 2 \times 3!) \times 4$	$1 + 23$	$-1 + 2 \times (3 + 4!)$	$1 + 2 \times (3 + 4!)$	$1 + 23 + \sqrt{4}$	$(1 + 2)!!/3 - 4 - 5$
$1 + 2^{3!} - 4$	$12 + 3$	$1 + 2 \times 3!$	$1 \times 2 \times (3 + 4)$	$1 \times 2^{3!} - \sqrt{4}$	$1 \times 2^{3!} + \sqrt{4}$	$(1 + 2)!!/3 - 4 - 5$
$(1 + 2)!!/3 - 4 - 5$	$(1 + 2)!!/3 - 4 - 5$	$(1 + 2)!!/3 - 4 - 5$	$(1 + 2)!!/3 - 4 - 5$	$(1 + 2)!!/3 - 4 - 5$	$(1 + 2)!!/3 - 4 - 5$	$(1 + 2)!!/3 - 4 - 5$

Exercise 5.2. Using the *crazy representations* given in Appendix 12.2, write the magic square of order 6 given below in terms of numbers:

						$(5! - 43) \times (2 + 1)$
$3! \times 2 - 1$	$4^3 + 2 - 1$	$43 + 21$	3×21	$3! \times 2 \times 1$	$4 \times (3 + 2 - 1)$	$(5! - 43) \times (2 + 1)$
$4! + 32 \times 1$	$43 - 21$	$\sqrt{4} \times (3! + 21)$	$(3! - 2)! - 1$	$(3! - 2)! + 1$	$4! \times 3 - 21$	$(5! - 43) \times (2 + 1)$
$43 + 2 + 1$	$43 + 2 \times 1$	$32 + 1$	$\sqrt{4} + 32 \times 1$	$43 - 2 + 1$	$32 - 1$	$(5! - 43) \times (2 + 1)$
$3!^2 \times 1$	32×1	$4^3 - 21$	$43 + 2 - 1$	$3!^2 - 1$	$43 - 2 \times 1$	$(5! - 43) \times (2 + 1)$
21	$4 \times (3! \times 2 + 1)$	$3 + 21$	$(4! + 3) \times 2 - 1$	$4! + 32 - 1$	$\sqrt{4} + 3 + 21$	$(5! - 43) \times (2 + 1)$
$4^3 - 2 - 1$	$-3! + 21$	$3! \times 2 + 1$	$(4 + 3) \times 2 \times 1$	$4^3 - 2 \times 1$	$4^3 + 2 \times 1$	$(5! - 43) \times (2 + 1)$
$(5! - 43) \times (2 + 1)$	$(5! - 43) \times (2 + 1)$	$(5! - 43) \times (2 + 1)$	$(5! - 43) \times (2 + 1)$	$(5! - 43) \times (2 + 1)$	$(5! - 43) \times (2 + 1)$	$(5! - 43) \times (2 + 1)$

Exercise 5.3. Using the *crazy representations* given in Appendix 12.3, write the magic square of order 6 given below in terms of numbers:

						$4! - 3 + 210$
$3 - 2 + 10$	$43 + 21 + 0!$	$32 \times (1 + 0!)$	$3 \times 21 \times 0!$	$2 + 10$	$3 \times 2 + 10$	$4! - 3 + 210$
$4^3 + 2 - 10$	$21 + 0!$	$4 + (3 + 2) \times 10$	$3 + 2 \times 10$	$3 + 21 + 0!$	$43 - 2 + 10$	$4! - 3 + 210$
$3!^2 + 10$	$43 + 2 \times 1 \times 0!$	$32 + 1 \times 0!$	$32 + 1 + 0!$	$32 + 10$	$32 - 1 \times 0!$	$4! - 3 + 210$
$3 \times (2 + 10)$	$\sqrt{2^{10}}$	$43 + 21 \times 0$	$43 + (21 \times 0)!$	$3!^2 - 1 \times 0!$	$43 - 2 \times 1 \times 0!$	$4! - 3 + 210$
$21 \times 0!$	$4^3 - 2 - 10$	$(2 + 1 + 0!)!$	$(4! + 3) \times 2 - 1 \times 0!$	$43 + 2 + 10$	$3! + 2 \times 10$	$4! - 3 + 210$
$4^3 - 2 - 1 \times 0!$	$3 + 2 + 10$	$3!/2 + 10$	$3! - 2 + 10$	$3 \times 21 - 0!$	$3 \times (21 + 0!)$	$4! - 3 + 210$
$4! - 3 + 210$	$4! - 3 + 210$	$4! - 3 + 210$	$4! - 3 + 210$	$4! - 3 + 210$	$4! - 3 + 210$	$4! - 3 + 210$

6 Magic Square of Order 7

Example 6.1. Let’s consider a **pandiagonal** magic square of order 7 is given by

		175	175	175	175	175	175	175
	1	9	17	25	33	41	49	175
175	40	48	7	8	16	24	32	175
175	23	31	39	47	6	14	15	175
175	13	21	22	30	38	46	5	175
175	45	4	12	20	28	29	37	175
175	35	36	44	3	11	19	27	175
175	18	26	34	42	43	2	10	175
	175	175	175	175	175	175	175	175

6.1 Examples

The examples below are based on the Example 6.1. These are written in three different ways. One in increasing order of crazy representations starting with 1. The other two are in decreasing orders ending in 1 and 0.

Example 6.2. Based on **crazy representations** given in Appendix 12.1, the **pandiagonal** magic square of order 7 given in Example 6.1 is given by

1	$12 - 3$	$12 + 3 + \sqrt{4}$	$1 + (-2 + 3!)!$	$1 - 2 + 34$	$-1 + 2 \times (-3 + 4!)$	$1 + 2 \times 3! \times 4$
$12 \times 3 + 4$	$(1 + 23) \times \sqrt{4}$	$1 + 2 \times 3$	1×2^3	$12/3 \times 4$	$1 + 23$	$12 \times 3 - 4$
1×23	$-1 - 2 + 34$	$12 + 3 + 4!$	$1 \times 23 + 4!$	$(1 + 2)!$	$1 \times 2 \times (3 + 4)$	$12 + 3$
$1 + 2 \times 3!$	$(1 + 2) \times (3 + 4)$	$-1 + 23$	$(12 + 3) \times \sqrt{4}$	$12 \times 3 + \sqrt{4}$	$12 + 34$	$1 \times 2 + 3$
$-1 + 23 \times \sqrt{4}$	$12/3$	12	$1 + 23 - 4$	$1 + 23 + 4$	$1 \times 2 + 3 + 4!$	$1 + 2 + 34$
$1^2 + 34$	12×3	$(-1 + 23) \times \sqrt{4}$	$1 + 2$	$-1 + 2 \times 3!$	$1 \times 23 - 4$	$(1 + 2)^3$
$12 + 3!$	$1 + 23 + \sqrt{4}$	$1^2 \times 34$	$12 + 3! + 4!$	$1 + 2 \times (-3 + 4!)$	1×2	$\sqrt{12 \times 3} + 4$

In this case the magic sum is given by

Example 6.3. Based on *crazy representations* given in Appendix 12.2, the **pandiagonal** magic square of order 7 given in Example 6.1 is given by

1	$3^2 \times 1$	$(\sqrt{4} - 3!) + 21$	$(3! - 2)! + 1$	$32 + 1$	$43 - 2 \times 1$	$(4 + 3)^2 \times 1$
$43 - 2 - 1$	$(4 + 3)^2 - 1$	$3 \times 2 + 1$	$3^2 - 1$	$4 \times (3 + 2 - 1)$	$3 + 21$	32×1
$(3! - 2)! - 1$	$32 - 1$	$4 + 3!^2 - 1$	$4 \times 3! \times 2 - 1$	$(2 + 1)!$	$(4 + 3) \times 2 \times 1$	$-3! + 21$
$3! \times 2 + 1$	21	$43 - 21$	$-\sqrt{4} + 32 \times 1$	$\sqrt{4} + 3!^2 \times 1$	$43 + 2 + 1$	$3 \times 2 - 1$
$43 + 2 \times 1$	$3 + 2 - 1$	$3! \times 2 \times 1$	$4 \times (3 \times 2 - 1)$	$4 + 3 + 21$	$\sqrt{4^3} + 21$	$3!^2 + 1$
$3!^2 - 1$	$3!^2 \times 1$	$43 + 2 - 1$	$2 + 1$	$3! \times 2 - 1$	$4 - 3! + 21$	$3! + 21$
$-3 + 21$	$\sqrt{4} + 3 + 21$	$\sqrt{4} + 32 \times 1$	$43 - 2 + 1$	$4^3 - 21$	2×1	$3^2 + 1$

Example 6.4. Based on *crazy representations* given in Appendix 12.3, the **pandiagonal** magic square of order 7 given in Example 6.1 is given by

0!	$3^2 \times 1 \times 0!$	$-3 + 2 \times 10$	$3 + 21 + 0!$	$32 + 1 \times 0!$	$43 - 2 \times 1 \times 0!$	$(4 + 3)^2 \times 1 \times 0!$
$(3! - 2) \times 10$	$3! \times (-2 + 10)$	$(2 + 1)! + 0!$	$-2 + 10$	$3 \times 2 + 10$	$(2 + 1 + 0!)!$	$\sqrt{2^{10}}$
$3 + 2 \times 10$	$32 - 1 \times 0!$	$(4 + 3)^2 - 10$	$4! + 3 + 2 \times 10$	$(2 + 1)! \times 0!$	$3! - 2 + 10$	$3 + 2 + 10$
$3!/2 + 10$	$21 \times 0!$	$21 + 0!$	$32 - 1 - 0!$	$3!^2 + 1 + 0!$	$3!^2 + 10$	$(2 + 1)! - 0!$
$43 + 2 \times 1 \times 0!$	$2 + 1 + 0!$	$2 + 10$	2×10	$3! + 21 + 0!$	$-3 + \sqrt{2^{10}}$	$3!^2 + 1 \times 0!$
$3!^2 - 1 \times 0!$	$3 \times (2 + 10)$	$43 + (21 \times 0)!$	$2 + 1 \times 0!$	$3 - 2 + 10$	$3^2 + 10$	$3! + 21 \times 0!$
$3! + 2 + 10$	$3! + 2 \times 10$	$32 + 1 + 0!$	$32 + 10$	$43 + 21 \times 0$	$1 + 0!$	10

6.2 Exercises

Exercise 6.1. Using the *crazy representations* given in Appendix 12.1, write the magic square of order 7 given below in terms of numbers:

$-1 + 2 \times 3!$	$-1 + 23$	$1 - 2 + 34$	$(-1 + 23) \times \sqrt{4}$	$1 + 2 \times (3 + 4!)$	$1 \times 2^{3!} + \sqrt{4}$	$-1 + 2 \times (34 + 5)$
$1 + 2^{3!}$	$12 \times 3! + 4$	$12 + 3 + \sqrt{4}$	$(1 + 2) \times (3 + 4)$	$12 \times 3 - 4$	$1 + 2 \times (-3 + 4!)$	$1 \times 2 \times (3 + 4!)$
$12 + 3! + 4!$	$-1 + 2 \times (3 + 4!)$	$1 \times 2^{3!}$	$1 + 2 + 3 \times 4!$	$12/3 \times 4$	$(1 + 2)^3$	$-1 - 2 + 34$
$1 + 23 + \sqrt{4}$	$1 + 2 + 34$	$-1 + 2 \times (-3 + 4!)$	$(1 + 2 \times 3!) \times 4$	$-1 + 2^{3!}$	$12 \times 3! + \sqrt{4}$	$12 + 3$
$1^2 + 3 \times 4!$	$1 \times 2 \times (3 + 4)$	$=1 + (-2 + 3!)!$	12×3	$1 \times 23 + 4!$	$(1 + 2)^3 + 4!$	$1 \times 2^{3!} - \sqrt{4}$
$-1 + 2 \times (34 - 5)$	$=1 + 2^{3!} - 4$	$12 \times 3!$	$1 + 2 \times 3!$	$1 + 23$	$1^2 + 34$	$12 + 34$
$1^2 \times 34$	$-1 + 23 \times \sqrt{4}$	$12 \times 3 + 4 \times 5$	$-1 + 2 \times 34$	$1 - 2 + 3 \times 4!$	12	1×23

Exercise 6.2. Using the *crazy representations* given in Appendix 12.2, write the magic square of order 7 given below in terms of numbers:

$3! \times 2 - 1$	$43 - 21$	$32 + 1$	$43 + 2 - 1$	$4! + 32 - 1$	$4^3 + 2 \times 1$	$5 - 4 \times (3 - 21)$
$4^3 + 2 - 1$	$(-5 + 43) \times 2 \times 1$	$(\sqrt{4} - 3!) + 21$	21	32×1	$4^3 - 21$	$\sqrt{4} \times (3! + 21)$
$43 - 2 + 1$	$(4! + 3) \times 2 - 1$	$43 + 21$	$4! \times 3 + 2 + 1$	$4 \times (3 + 2 - 1)$	$3! + 21$	$32 - 1$
$\sqrt{4} + 3 + 21$	$3!^2 + 1$	$43 - 2 \times 1$	$4 \times (3! \times 2 + 1)$	3×21	$4! \times 3 + 2 \times 1$	$-3! + 21$
$4! \times 3 + 2 - 1$	$(4 + 3) \times 2 \times 1$	$(3! - 2)! + 1$	$3!^2 \times 1$	$4 \times 3! \times 2 - 1$	$4! \times 3 - 21$	$4^3 - 2 \times 1$
$4! + 32 + 1$	$4^3 - 2 - 1$	$4 \times (-3 + 21)$	$3! \times 2 + 1$	$3 + 21$	$3!^2 - 1$	$43 + 2 + 1$
$\sqrt{4} + 32 \times 1$	$43 + 2 \times 1$	$4! + 32 \times 1$	$4 + 3 \times 21$	$4! \times 3 - 2 + 1$	$3! \times 2 \times 1$	$(3! - 2)! - 1$

Exercise 6.3. Using the **crazy representations** given in Appendix 12.3, write the magic square of order 7 given below in terms of numbers:

$3 - 2 + 10$	$21 + 0!$	$32 + 1 \times 0!$	$43 + (21 \times 0)!$	$43 + 2 + 10$	$3 \times (21 + 0!)$	$-4 + 3^{2+1+0!}$
$43 + 21 + 0!$	$43 \times 2 - 10$	$-3 + 2 \times 10$	$21 \times 0!$	$\sqrt{2^{10}}$	$43 + 21 \times 0$	$4 + (3 + 2) \times 10$
$32 + 10$	$(4! + 3) \times 2 - 1 \times 0!$	$32 \times (1 + 0!)$	$4! \times 3 + 2 + 1 \times 0!$	$3 \times 2 + 10$	$3! + 21 \times 0!$	$32 - 1 \times 0!$
$3! + 2 \times 10$	$3!^2 + 1 \times 0!$	$43 - 2 \times 1 \times 0!$	$4^3 - 2 - 10$	$3 \times 21 \times 0!$	$(4!/3)^2 + 10$	$3 + 2 + 10$
$4! \times 3 + 2 - 1 \times 0!$	$3! - 2 + 10$	$3 + 21 + 0!$	$3 \times (2 + 10)$	$4! + 3 + 2 \times 10$	$43 - 2 + 10$	$3 \times 21 - 0!$
$4! + 32 + 1 \times 0!$	$4^3 - 2 - 1 \times 0!$	$3! \times (2 + 10)$	$3!/2 + 10$	$(2 + 1 + 0!)!$	$3!^2 - 1 \times 0!$	$3!^2 + 10$
$32 + 1 + 0!$	$43 + 2 \times 1 \times 0!$	$4^3 + 2 - 10$	$4 + 3 \times 21 \times 0!$	$\sqrt{(3 \times 2 + 1)! + 0!}$	$2 + 10$	$3 + 2 \times 10$

7 Magic Square of Order 8

Example 7.1. Let’s consider a **pan magic square** of order 8 is given by

		260	260	260	260	260	260	260	260
	25	48	1	56	26	47	2	55	260
260	8	49	32	41	7	50	31	42	260
260	64	9	40	17	63	10	39	18	260
260	33	24	57	16	34	23	58	15	260
260	27	46	3	54	28	45	4	53	260
260	6	51	30	43	5	52	29	44	260
260	62	11	38	19	61	12	37	20	260
260	35	22	59	14	36	21	60	13	260
	260	260	260	260	260	260	260	260	260

7.1 Examples

The examples below are based on the Example 7.1. These are written in three different ways. One in increasing order of crazy representations starting with 1. The other two are in decreasing orders ending in 1 and 0.

Example 7.2. Based on *crazy representations* given in Appendix 12.1, the **pandiagonal** magic square of order 8 given in Example 7.1 is given by

$1 + (-2 + 3!)!$	$(1 + 23) \times \sqrt{4}$	1	$12 \times 3 + 4 \times 5$	$1 + 23 + \sqrt{4}$	$1 \times 23 + 4!$	1×2	$1 + 2 \times (3 + 4!)$
1×2^3	$1 + 2 \times 3! \times 4$	$12 \times 3 - 4$	$-1 + 2 \times (-3 + 4!)$	$1 + 2 \times 3$	$(1 + (-2 + 3!)!) \times \sqrt{4}$	$-1 - 2 + 34$	$12 + 3! + 4!$
$1 \times 2^{3!}$	$12 - 3$	$12 \times 3 + 4$	$12 + 3 + \sqrt{4}$	$-1 + 2^{3!}$	$\sqrt{12 \times 3} + 4$	$12 + 3 + 4!$	$12 + 3!$
$1 - 2 + 34$	$1 + 23$	$-1 + 2 \times (34 - 5)$	$12/3 \times 4$	$1^2 \times 34$	1×23	$1 \times 2 \times (34 - 5)$	$12 + 3$
$(1 + 2)^3$	$12 + 34$	$1 + 2$	$1 \times 2 \times (3 + 4!)$	$1 + 23 + 4$	$-1 + 23 \times \sqrt{4}$	$12/3$	$-1 + 2 \times (3 + 4!)$
$(1 + 2)!$	$(1 + 2)^3 + 4!$	$(12 + 3) \times \sqrt{4}$	$1 + 2 \times (-3 + 4!)$	$1 \times 2 + 3$	$(1 + 2 \times 3!) \times 4$	$1 \times 2 + 3 + 4!$	$(-1 + 23) \times \sqrt{4}$
$1 \times 2^{3!} - \sqrt{4}$	$-1 + 2 \times 3!$	$12 \times 3 + \sqrt{4}$	$1 \times 23 - 4$	$1 + 2^{3!} - 4$	12	$1 + 2 + 34$	$1 + 23 - 4$
$1^2 + 34$	$-1 + 23$	$-1 + 2^{3!} - 4$	$1 \times 2 \times (3 + 4)$	12×3	$(1 + 2) \times (3 + 4)$	$(12 + 3) \times 4$	$1 + 2 \times 3!$

In this case the **magic sums** of magic square of order 8 is given by

$$S_{8 \times 8} := (1 + 2^{3!}) \times 4$$

In this case the blocks of order 4 are also **pandiagonal** magic squares with equal magic sums given by

$$S_{4 \times 4} := (1 + 2^{3!}) \times \sqrt{4}$$

Example 7.3. Based on *crazy representations* given in Appendix 12.2, the **pandiagonal** magic square of order 8 given in Example 7.1 is given by

$(3! - 2)! + 1$	$(4 + 3)^2 - 1$	1	$4! + 32 \times 1$	$\sqrt{4} + 3 + 21$	$4 \times 3! \times 2 - 1$	2×1	$4! + 32 - 1$
$3^2 - 1$	$(4 + 3)^2 \times 1$	32×1	$43 - 2 \times 1$	$3 \times 2 + 1$	$(4 + 3)^2 + 1$	$32 - 1$	$43 - 2 + 1$
$43 + 21$	$3^2 \times 1$	$43 - 2 - 1$	$\sqrt{4} - 3! + 21$	3×21	$3^2 + 1$	$4 + 3!^2 - 1$	$-3 + 21$
$32 + 1$	$3 + 21$	$4! + 32 + 1$	$4 \times (3 + 2 - 1)$	$\sqrt{4} + 32 \times 1$	$(3! - 2)! - 1$	$4^3 - (2 + 1)!$	$-3! + 21$
$3! + 21$	$43 + 2 + 1$	$2 + 1$	$\sqrt{4} \times (3! + 21)$	$4 + 3 + 21$	$43 + 2 \times 1$	$3 + 2 - 1$	$(4! + 3) \times 2 - 1$
$(2 + 1)!$	$4! \times 3 - 21$	$-\sqrt{4} + 32 \times 1$	$4^3 - 21$	$3 \times 2 - 1$	$4 \times (3! \times 2 + 1)$	$\sqrt{4^3} + 21$	$43 + 2 - 1$
$4^3 - 2 \times 1$	$3! \times 2 - 1$	$\sqrt{4} + 3!^2 \times 1$	$4 - 3! + 21$	$4^3 - 2 - 1$	$3! \times 2 \times 1$	$3!^2 + 1$	$4 \times (3 \times 2 - 1)$
$3!^2 - 1$	$43 - 21$	$-4 + 3 \times 21$	$(4 + 3) \times 2 \times 1$	$3!^2 \times 1$	21	$4 \times (-3! + 21)$	$3! \times 2 + 1$

In this case the **magic sums** of magic square of order 8 is given by

$$S_{8 \times 8} := 5 \times 4 \times (3! \times 2 + 1)$$

In this case the blocks of order 4 are also **pandiagonal** magic squares with equal magic sums given by

$$S_{4 \times 4} := 4 + 3! \times 21$$

Example 7.4. Based on *crazy representations* given in Appendix 12.3, the **pandiagonal** magic square of order 8 given in Example 7.1 is given by

$3 + 21 + 0!$	$3! \times (-2 + 10)$	$0!$	$4^3 + 2 - 10$	$3! + 2 \times 10$	$4! + 3 + 2 \times 10$	$1 + 0!$	$43 + 2 + 10$
$-2 + 10$	$(4 + 3)^2 \times 1 \times 0!$	$\sqrt{2^{10}}$	$43 - 2 \times 1 \times 0!$	$(2 + 1)! + 0!$	$(3 + 2) \times 10$	$32 - 1 \times 0!$	$32 + 10$
$32 \times (1 + 0!)$	$3^2 \times 1 \times 0!$	$(3! - 2) \times 10$	$-3 + 2 \times 10$	$3 \times 21 \times 0!$	10	$(4 + 3)^2 - 10$	$3! + 2 + 10$
$32 + 1 \times 0!$	$(2 + 1 + 0!)!$	$4! + 32 + 1 \times 0!$	$3 \times 2 + 10$	$32 + 1 + 0!$	$3 + 2 \times 10$	$4! + 32 + 1 + 0!$	$3 + 2 + 10$
$3! + 21 \times 0!$	$3!^2 + 10$	$2 + 1 \times 0!$	$4 + (3 + 2) \times 10$	$3! + 21 + 0!$	$43 + 2 \times 1 \times 0!$	$2 + 1 + 0!$	$(4! + 3) \times 2 - 1 \times 0!$
$(2 + 1)! \times 0!$	$43 - 2 + 10$	$32 - 1 - 0!$	$43 + 21 \times 0$	$(2 + 1)! - 0!$	$4^3 - 2 - 10$	$-3 + \sqrt{2^{10}}$	$43 + (21 \times 0)!$
$3 \times 21 - 0!$	$3 - 2 + 10$	$3!^2 + 1 + 0!$	$3^2 + 10$	$4^3 - 2 - 1 \times 0!$	$2 + 10$	$3!^2 + 1 \times 0!$	2×10
$3!^2 - 1 \times 0!$	$21 + 0!$	$(4 + 3)^2 + 10$	$3! - 2 + 10$	$3 \times (2 + 10)$	$21 \times 0!$	$3 \times 2 \times 10$	$3!/2 + 10$

In this case the **magic sums** of magic square of order 8 is given by

$$S_{8 \times 8} := (4 \times 3! + 2) \times 10$$

In this case the blocks of order 4 are also **pandiagonal** magic squares with equal magic sums given by

$$S_{4 \times 4} := (3 + 2)! + 10$$

7.2 Exercises

Exercise 7.1. Using the **crazy representations** given in Appendix 12.1, write the magic square of order 8 given below in terms of numbers:

$-1 + 23 \times \sqrt{4}$	$1 \times 2 \times (34 - 5)$	$-1 + 2 \times 3!$	$12 \times (3 + 4)$	$1^2 + 34$	$1 \times 2 \times 34$	$(1 + 2) \times (3 + 4)$	$12 \times 3! + \sqrt{4}$
$1 \times 2 \times (3 + 4)$	$1^2 \times 3^4$	$(1 + 23) \times \sqrt{4}$	$1 + 2 \times (3 + 4!)$	$1 + 23$	$1 - 2 + 3 \times 4!$	$12 \times 3 + \sqrt{4}$	$1 + 2^{3!}$
$(-1 + 23) \times 4$	$12 + 3$	$1 \times 2 \times (3 + 4!)$	$-1 + 2 \times (-3 + 4!)$	$-1 - 2 + 3^4$	$1 + (-2 + 3!)!$	$1 \times 2^{3!}$	$-1 - 2 + 34$
$(1 + 2)^3 + 4!$	$(-1 + 23) \times \sqrt{4}$	$1 + 2 \times (-3 + 45)$	$12 + 3!$	$1 + 2^{3!} - 4$	$1^2 \times 34$	$1 + 2 + 3 \times 4!$	$1 + 23 + 4$
$12 + 34$	$-1 + 2 \times (34 - 5)$	12	$1 \times 2 + 3^4$	12×3	$-1 + 2 \times 34$	$-1 + 23$	$1^2 + 3 \times 4!$
$1 + 2 \times 3!$	$1^2 + 3^4$	$1 \times 23 + 4!$	$12 \times 3 + 4 \times 5$	1×23	$12 \times 3!$	$1 + 2 + 34$	$1 \times 2^{3!} + \sqrt{4}$
$(1 + 2)! + 3^4$	$12/3 \times 4$	$-1 + 2 \times (3 + 4!)$	$12 + 3! + 4!$	$-1 + 2 \times (34 + 5)$	$1 + 23 + \sqrt{4}$	$-1 + 2^{3!}$	$12 \times 3 - 4$
$(1 + 2 \times 3!) \times 4$	$1 + 2 \times (-3 + 4!)$	$-1 + 23 \times 4 - 5$	$12 + 3 + \sqrt{4}$	$1 \times 2^{3!} - \sqrt{4}$	$1 - 2 + 34$	$12 \times 3! + 4$	$(1 + 2)^3$

The **magic sum** of magic square of order 8 is given by

$$S_{8 \times 8} := 1 + (-2 + 3^4) \times 5$$

The blocks of order 4 are also **pandiagonal** magic squares with equal magic sums given by

$$S_{4 \times 4} := -1 - 2 + 3^4 + 5!$$

Exercise 7.2. Using the **crazy representations** given in Appendix 12.2, write the magic square of order 8 given below in terms of numbers:

$43 + 2 \times 1$	$4^3 - (2 + 1)!$	$3! \times 2 - 1$	$4!/3! \times 21$	$3!^2 - 1$	$5 + 4^3 - 2 + 1$	21	$4! \times 3 + 2 \times 1$
$(4 + 3) \times 2 \times 1$	$(4! + 3) \times (2 + 1)$	$(4 + 3)^2 - 1$	$4! + 32 - 1$	$3 + 21$	$4! \times 3 - 2 + 1$	$\sqrt{4} + 3!^2 \times 1$	$4^3 + 2 - 1$
$5^{\sqrt{4}} + 3 \times 21$	$-3! + 21$	$\sqrt{4} \times (3! + 21)$	$43 - 2 \times 1$	$4! \times 3 + (2 + 1)!$	$(3! - 2)! + 1$	43 + 21	32 - 1
$4! \times 3 - 21$	$43 + 2 - 1$	$43 \times 2 - 1$	$-3 + 21$	$4^3 - 2 - 1$	$\sqrt{4} + 32 \times 1$	$4! \times 3 + 2 + 1$	$4 + 3 + 21$
$43 + 2 + 1$	$4! + 32 + 1$	$3! \times 2 \times 1$	$5 \times 4 + 3 \times 21$	$3!^2 \times 1$	$4 + 3 \times 21$	$43 - 21$	$4! \times 3 + 2 - 1$
$3! \times 2 + 1$	$-5 + 43 \times 2 + 1$	$4 \times 3! \times 2 - 1$	$4! + 32 \times 1$	$(3! - 2)! - 1$	$4 \times (-3 + 21)$	$3!^2 + 1$	$4^3 + 2 \times 1$
$43 \times 2 + 1$	$4 \times (3 + 2 - 1)$	$(4! + 3) \times 2 - 1$	$43 - 2 + 1$	$5 - 4 \times (3 - 21)$	$\sqrt{4} + 3 + 21$	3×21	32×1
$4 \times (3! \times 2 + 1)$	$4^3 - 21$	$43 \times 2 \times 1$	$\sqrt{4} - 3! + 21$	$4^3 - 2 \times 1$	32 + 1	$(-5 + 43) \times 2 \times 1$	$3! + 21$

The ***magic sum*** of magic square of order 8 is given by

$$S_{8 \times 8} := (4! - 3!) \times (21 + 0!)$$

The blocks of order 4 are also ***pandiagonal*** magic squares with equal magic sums given by

$$S_{4 \times 4} := (\sqrt{5 + 4})! \times (32 + 1)$$

Exercise 7.3. Using the ***crazy representations*** given in Appendix 12.3, write the magic square of order 8 given below in terms of numbers:

$43 + 2 \times 1 \times 0!$	$4! + 32 + 1 + 0!$	$3 - 2 + 10$	$(4 + 3) \times (2 + 10)$	$3!^2 - 1 \times 0!$	$4 + 3 \times 21 + 0!$	$21 \times 0!$	$(4!/3)^2 + 10$
$3! - 2 + 10$	$3^{2 \times (1 + 0!)}$	$3! \times (-2 + 10)$	$43 + 2 + 10$	$(2 + 1 + 0!)!$	$\sqrt{(3 \times 2 + 1)! + 0!}$	$3!^2 + 1 + 0!$	$43 + 21 + 0!$
$4 \times (32 - 10)$	$3 + 2 + 10$	$4 + (3 + 2) \times 10$	$43 - 2 \times 1 \times 0!$	$4! \times 3 + (2 + 1)! \times 0!$	$3 + 21 + 0!$	$32 \times (1 + 0!)$	$32 - 1 \times 0!$
$43 - 2 + 10$	$43 + (21 \times 0)!$	$43 \times 2 - 1 \times 0!$	$3! + 2 + 10$	$4^3 - 2 - 1 \times 0!$	$32 + 1 + 0!$	$4! \times 3 + 2 + 1 \times 0!$	$3! + 21 + 0!$
$3!^2 + 10$	$4! + 32 + 1 \times 0!$	$2 + 10$	$4!/3! \times 21 - 0!$	$3 \times (2 + 10)$	$4 + 3 \times 21 \times 0!$	$21 + 0!$	$4! \times 3 + 2 - 1 \times 0!$
$3!/2 + 10$	$(43 - 2) \times (1 + 0!)$	$4! + 3 + 2 \times 10$	$4^3 + 2 - 10$	$3 + 2 \times 10$	$3! \times (2 + 10)$	$3!^2 + 1 \times 0!$	$3 \times (21 + 0!)$
$43 \times 2 + 1 \times 0!$	$3 \times 2 + 10$	$(4! + 3) \times 2 - 1 \times 0!$	$32 + 10$	$-4 + 3^{2 + 1 + 0!}$	$3! + 2 \times 10$	$3 \times 21 \times 0!$	$\sqrt{2^{10}}$
$4^3 - 2 - 10$	$32 + 10$	$43 \times 2 \times 1 \times 0!$	$-3 + 2 \times 10$	$3 \times 21 - 0!$	$32 + 1 \times 0!$	$43 \times 2 - 10$	$3! + 21 \times 0!$

The ***magic sum*** of magic square of order 8 is given by

$$S_{8 \times 8} := (4! - 3!) \times (21 + 0!)$$

The blocks of order 4 are also ***pandiagonal*** magic squares with equal magic sums given by

$$S_{4 \times 4} := -4 \times 3 + 210$$

8 Magic Square of Order 9

Example 8.1. Let’s consider a ***pandiagonal*** magic square of order 9 is given by

		369	369	369	369	369	369	369	369	369
	22	71	30	27	64	32	20	69	34	369
369	35	21	67	28	23	72	33	25	65	369
369	66	31	26	68	36	19	70	29	24	369
369	40	8	75	45	1	77	38	6	79	369
369	80	39	4	73	41	9	78	43	2	369
369	3	76	44	5	81	37	7	74	42	369
369	58	53	12	63	46	14	56	51	16	369
369	17	57	49	10	59	54	15	61	47	369
369	48	13	62	50	18	55	52	11	60	369
	369	369	369	369	369	369	369	369	369	369

8.1 Examples

The examples below are based on the Example 8.1. These are written in three different ways. One in increasing order of crazy representations starting with 1. The other two are in decreasing orders ending in 1 and 0.

Example 8.2. Based on *crazy representations* given in Appendix 12.1, the **pandiagonal** magic square of order 9 given in Example 8.1 is given by

$-1 + 23$	$1 - 2 + 3 \times 4!$	$(12 + 3) \times \sqrt{4}$	$(1 + 2)^3$	$1 \times 2^{3!}$	$12 \times 3 - 4$	$1 + 23 - 4$	$1 + 2 \times 34$	$1^2 \times 34$
$1^2 + 34$	$(1 + 2) \times (3 + 4)$	$-1 + 2 \times 34$	$1 + 23 + 4$	1×23	$12 \times 3!$	$1 - 2 + 34$	$1 + (-2 + 3!)!$	$1 + 2^{3!}$
$1 \times 2^{3!} + \sqrt{4}$	$-1 - 2 + 34$	$1 + 23 + \sqrt{4}$	$1 \times 2 \times 34$	36	19	70	29	24
$12 \times 3 + 4$	1×2^3	$1 + 2 + 3 \times 4!$	$-1 + 23 \times \sqrt{4}$	1	$-1 + 2 \times (34 + 5)$	$12 \times 3 + \sqrt{4}$	$(1 + 2)!$	$-1 \times 2 + 3^4$
$1 - 2 + 3^4$	$12 + 3 + 4!$	12/3	$1^2 + 3 \times 4!$	$-1 + 2 \times (-3 + 4!)$	$12 - 3$	$-1 - 2 + 3^4$	$1 + 2 \times (-3 + 4!)$	1×2
$1 + 2$	$12 \times 3! + 4$	$(-1 + 23) \times \sqrt{4}$	$1 \times 2 + 3$	$1^2 \times 3^4$	$1 + 2 + 34$	$1 + 2 \times 3$	$12 \times 3! + \sqrt{4}$	$12 + 3! + 4!$
$1 \times 2 \times (34 - 5)$	$-1 + 2 \times (3 + 4!)$	12	$-1 + 2^{3!}$	$12 + 34$	$1 \times 2 \times (3 + 4)$	$12 \times 3 + 4 \times 5$	$(1 + 2)^3 + 4!$	$12/3 \times 4$
$12 + 3 + \sqrt{4}$	$-1 + 2 \times (34 - 5)$	$1 + 2 \times 3! \times 4$	$\sqrt{12 \times 3} + 4$	$-1 + 2^{3!} - 4$	$1 \times 2 \times (3 + 4!)$	$12 + 3$	$1 + 2^{3!} - 4$	$1 \times 23 + 4!$
$(1 + 23) \times \sqrt{4}$	$1 + 2 \times 3!$	$1 \times 2^{3!} - \sqrt{4}$	$(1 + (-2 + 3!)!) \times \sqrt{4}$	$12 + 3!$	$1 + 2 \times (3 + 4!)$	$(1 + 2 \times 3!) \times 4$	$-1 + 2 \times 3!$	$(12 + 3) \times 4$

The **magic sum** of magic square of order 9 is given by

$$S_{9 \times 9} := 123 \times \sqrt{4 + 5}$$

The blocks of order 3 are **semi-magic** squares (sum of only rows and columns) with equal **semi-magic** sums.

$$Sm_{3 \times 3} := 123$$

Example 8.3. Based on *crazy representations* given in Appendix 12.2, the **pandiagonal** magic square of order 9 given in Example 8.1 is given by

$43 - 21$	$4! \times 3 - 2 + 1$	$-\sqrt{4} + 32 \times 1$	$3! + 21$	$43 + 21$	32×1	$4 \times (3 \times 2 - 1)$	$4! \times 3 - 2 - 1$	$\sqrt{4} + 32 \times 1$
$3!^2 - 1$	21	$4 + 3 \times 21$	$4 + 3 + 21$	$(3! - 2)! - 1$	$4 \times (-3 + 21)$	$32 + 1$	$(3! - 2)! + 1$	$4^3 + 2 - 1$
$4^3 + 2 \times 1$	$32 - 1$	$\sqrt{4} + 3 + 21$	$5 + 4^3 - 2 + 1$	$3!^2 \times 1$	$4 - 3! + 21$	$4! \times 3 - 2 \times 1$	$\sqrt{4^3} + 21$	$3 + 21$
$43 - 2 - 1$	$3^2 - 1$	$4! \times 3 + 2 + 1$	$43 + 2 \times 1$	1	$5 - 4 \times (3 - 21)$	$\sqrt{4} + 3!^2 \times 1$	$(2 + 1)!$	$5 + 4! \times 3 + 2 \times 1$
$5 \times 4 \times (3 + 2 - 1)$	$4 + 3!^2 - 1$	$3 + 2 - 1$	$4! \times 3 + 2 - 1$	$43 - 2 \times 1$	$3^2 \times 1$	$4! \times 3 + (2 + 1)!$	$4^3 - 21$	2×1
$2 + 1$	$(-5 + 43) \times 2 \times 1$	$43 + 2 - 1$	$3 \times 2 - 1$	$(4! + 3) \times (2 + 1)$	$3!^2 + 1$	$3 \times 2 + 1$	$4! \times 3 + 2 \times 1$	$43 - 2 + 1$
$4^3 - (2 + 1)!$	$(4! + 3) \times 2 - 1$	$3! \times 2 \times 1$	3×21	$43 + 2 + 1$	$(4 + 3) \times 2 \times 1$	$4! + 32 \times 1$	$4! \times 3 - 21$	$4 \times (3 + 2 - 1)$
$\sqrt{4} - 3! + 21$	$4! + 32 + 1$	$(4 + 3)^2 \times 1$	$3^2 + 1$	$-4 + 3 \times 21$	$\sqrt{4} \times (3! + 21)$	$-3! + 21$	$4^3 - 2 - 1$	$4 \times 3! \times 2 - 1$
$(4 + 3)^2 - 1$	$3! \times 2 + 1$	$4^3 - 2 \times 1$	$(4 + 3)^2 + 1$	$-3 + 21$	$4! + 32 - 1$	$4 \times (3! \times 2 + 1)$	$3! \times 2 - 1$	$4 \times (-3! + 21)$

The **magic sums** of magic square of order 9 is given by

$$S_{9 \times 9} := (5! - 4) \times 3 + 21$$

The blocks of order 3 are **semi-magic** squares (sum of only rows and columns) with equal **semi-magic** sums.

$$Sm_{3 \times 3} := 4! \times 3! - 21$$

Example 8.4. Based on **crazy representations** given in Appendix 12.3, the **pandiagonal** magic square of order 9 given in Example 8.1 is given by

$21 + 0!$	$\sqrt{(3 \times 2 + 1)! + 0!}$	$32 - 1 - 0!$	$3! + 21 \times 0!$	$32 \times (1 + 0!)$	$\sqrt{2^{10}}$	2×10	$4! \times 3 - 2 - 1 \times 0!$	$32 + 1 + 0!$
$3!^2 - 1 \times 0!$	$21 \times 0!$	$4 + 3 \times 21 \times 0!$	$3! + 21 + 0!$	$3 + 2 \times 10$	$3! \times (2 + 10)$	$32 + 1 \times 0!$	$3 + 21 + 0!$	$43 + 21 + 0!$
$3 \times (21 + 0!)$	$32 - 1 \times 0!$	$3! + 2 \times 10$	$4 + 3 \times 21 + 0!$	$3 \times (2 + 10)$	$3^2 + 10$	$4 + 3 \times (21 + 0!)$	$-3 + \sqrt{2^{10}}$	$(2 + 1 + 0!)!$
$(3! - 2) \times 10$	$-2 + 10$	$4! \times 3 + 2 + 1 \times 0!$	$43 + 2 \times 1 \times 0!$	$0!$	$-4 + 3^{2+1+0!}$	$3!^2 + 1 + 0!$	$(2 + 1)! \times 0!$	$4! \times 3 + (2 + 1)! + 0!$
$(3! + 2) \times 10$	$(4 + 3)^2 - 10$	$2 + 1 + 0!$	$4! \times 3 + 2 - 1 \times 0!$	$43 - 2 \times 1 \times 0!$	$3^2 \times 1 \times 0!$	$4! \times 3 + (2 + 1)! \times 0!$	$43 + 21 \times 0$	$1 + 0!$
$2 + 1 \times 0!$	$43 \times 2 - 10$	$43 + (21 \times 0)!$	$(2 + 1)! - 0!$	$3^{2 \times (1+0!)}$	$3!^2 + 1 \times 0!$	$(2 + 1)! + 0!$	$(4!/3)^2 + 10$	$32 + 10$
$4! + 32 + 1 + 0!$	$(4! + 3) \times 2 - 1 \times 0!$	$2 + 10$	$3 \times 21 \times 0!$	$3!^2 + 10$	$3! - 2 + 10$	$4^3 + 2 - 10$	$43 - 2 + 10$	$3 \times 2 + 10$
$-3 + 2 \times 10$	$4! + 32 + 1 \times 0!$	$(4 + 3)^2 \times 1 \times 0!$	10	$(4 + 3)^2 + 10$	$4 + (3 + 2) \times 10$	$3 + 2 + 10$	$4^3 - 2 - 1 \times 0!$	$4! + 3 + 2 \times 10$
$3! \times (-2 + 10)$	$3!/2 + 10$	$3 \times 21 - 0!$	$(3 + 2) \times 10$	$3! + 2 + 10$	$43 + 2 + 10$	$4^3 - 2 - 10$	$3 - 2 + 10$	$3 \times 2 \times 10$

The **magic sums** of magic square of order 9 is given by

$$S_{9 \times 9} := (-\sqrt{4} + 3!!)/2 + 10$$

The blocks of order 3 are **semi-magic** squares (sum of only rows and columns) with equal **semi-magic** sums.

$$Sm_{3 \times 3} := 3 + ((2 + 1)! - 0!)!$$

8.2 Exercises

Exercise 8.1. Using the **crazy representations** given in Appendix 12.1, write the magic square of order 9 given below in terms of numbers:

$1^2 \times 34$	$(-1 + 23) \times 4$	$1 + 2 \times (-3 + 4!)$	$12 + 3 + 4!$	$1^2 \times 3^4$	$-1 + 23 \times \sqrt{4}$	$12 \times 3 - 4$	$-1 + 23 \times 4 - 5$	$1 \times 23 + 4!$
$(1 + 23) \times \sqrt{4}$	$1 - 2 + 34$	$12 \times (3 + 4)$	$-1 + 2 \times (-3 + 4!)$	$1^2 + 34$	$1 + 2^{3!} + 4!$	$12 + 34$	$1 + 2 + 34$	$1^2 + 3^4$
$1 \times 2 + 3^4$	$(-1 + 23) \times \sqrt{4}$	$12 \times 3 + \sqrt{4}$	$1 + 2 \times (-3 + 45)$	$1 + 2 \times 3! \times 4$	$-1 - 2 + 34$	$(1 + 2)! + 3^4$	$12 + 3! + 4!$	12×3
$1 \times 2 \times (3 + 4!)$	$12 + 3!$	$12 + 3^4$	$-1 + 2^{3!} - 4$	$-1 + 2 \times 3!$	$-1 + (-2 + 3!) \times 4!$	$(1 + 2 \times 3!) \times 4$	$12/3 \times 4$	$1 + (-2 + 3!) \times 4!$
$12 + 3^4 + 5$	$-1 + 2 \times (3 + 4!)$	$1 \times 2 \times (3 + 4)$	$-1 + 23 \times 4$	$1 + 2 \times (3 + 4!)$	$1 \times 23 - 4$	$(1 + 23) \times 4$	$-1 + 2 \times (34 - 5)$	12
$1 + 2 \times 3!$	$-1 \times 2 + 3 \times \sqrt{4^5}$	$1 \times 2 \times (34 - 5)$	$12 + 3$	$1 + 2 + 3 \times \sqrt{4^5}$	$(1 + 2)^3 + 4!$	$12 + 3 + \sqrt{4}$	$1 \times 23 \times 4$	$12 \times 3 + 4 \times 5$
$12 \times 3! + \sqrt{4}$	$1 \times 2 \times 34$	1×23	$-1 \times 2 + 3^4$	$1 + 2^{3!} - 4$	$1 + (-2 + 3!)!$	$12 \times 3!$	$1 \times 2^{3!} + \sqrt{4}$	$1 \times 2 + 3 + 4!$
$1 + 23 + 4$	$1^2 + 3 \times 4!$	$1 \times 2^{3!}$	$(1 + 2) \times (3 + 4)$	$1 + 2 + 3 \times 4!$	$1 + 2 \times 34$	$1 + 23 + \sqrt{4}$	$-1 + 2 \times (34 + 5)$	$1 \times 2^{3!} - \sqrt{4}$
$-1 + 2^{3!}$	$1 + 23$	$-1 - 2 + 3^4$	$1 + 2^{3!}$	$1 \times 2 + 3 + 4!$	$1 - 2 + 3 \times 4!$	$-1 + 2 \times 34$	$-1 + 23$	$12 \times 3! + 4$

The **magic sums** of magic square of order 9 is given by

$$S_{9 \times 9} := (123 - 4!) \times 5$$

The blocks of order 3 are **semi-magic** squares (sum of only rows and columns) with equal **semi-magic** sums.

$$Sm_{3 \times 3} := (1 - 2 + 34) \times 5$$

Exercise 8.2. Using the **crazy representations** given in Appendix 12.2, write the magic square of order 9 given below in terms of numbers:

$\sqrt{4} + 32 \times 1$	$5\sqrt{4} + 3 \times 21$	$4^3 - 21$	$4 + 3!^2 - 1$	$(4! + 3) \times (2 + 1)$	$43 + 2 \times 1$	32×1	$43 \times 2 \times 1$	$4 \times 3! \times 2 - 1$
$(4 + 3)^2 - 1$	$32 + 1$	$4!/3! \times 21$	$43 - 2 \times 1$	$3!^2 - 1$	$54 + 3!^2 - 1$	$43 + 2 + 1$	$3!^2 + 1$	$-5 + 43 \times 2 + 1$
$5 \times 4 + 3 \times 21$	$43 + 2 - 1$	$\sqrt{4} + 3!^2 \times 1$	$43 \times 2 - 1$	$(4 + 3)^2 \times 1$	$32 - 1$	$43 \times 2 + 1$	$43 - 2 + 1$	$3!^2 \times 1$
$\sqrt{4} \times (3! + 21)$	$-3 + 21$	$4! \times 3 + 21$	$-4 + 3 \times 21$	$3! \times 2 - 1$	$4 \times (3! - 2)! - 1$	$4 \times (3! \times 2 + 1)$	$4 \times (3 + 2 - 1)$	$4 \times (3! - 2)! + 1$
$5 + 4! \times 3 + 21$	$(4! + 3) \times 2 - 1$	$(4 + 3) \times 2 \times 1$	$5 + 43 \times 2 \times 1$	$4! + 32 - 1$	$4 - 3! + 21$	$4 \times (3 + 21)$	$4! + 32 + 1$	$3! \times 2 \times 1$
$3! \times 2 + 1$	$5 \times (4! - 3 - 2) - 1$	$4^3 - (2 + 1)!$	$-3! + 21$	$5 \times 4 \times (3 + 2) - 1$	$4! \times 3 - 21$	$\sqrt{4} - 3! + 21$	$4 \times ((3! - 2)! - 1)$	$4! + 32 \times 1$
$4! \times 3 + 2 \times 1$	$5 + 4^3 - 2 + 1$	$(3! - 2)! - 1$	$5 + 4! \times 3 + 2 \times 1$	$4^3 - 2 - 1$	$(3! - 2)! + 1$	$4 \times (-3 + 21)$	$4^3 + 2 \times 1$	$3! + 21$
$4 + 3 + 21$	$4! \times 3 + 2 - 1$	$43 + 21$	21	$4! \times 3 + 2 + 1$	$4! \times 3 - 2 - 1$	$\sqrt{4} + 3 + 21$	$5 - 4 \times (3 - 21)$	$4^3 - 2 \times 1$
3×21	$3 + 21$	$4! \times 3 + (2 + 1)!$	$4^3 + 2 - 1$	$\sqrt{4^3} + 21$	$4! \times 3 - 2 + 1$	$4 + 3 \times 21$	$43 - 21$	$(-5 + 43) \times 2 \times 1$

The **magic sums** of magic square of order 9 is given by

$$S_{9 \times 9} := (5! + 4) \times (3! - 2) - 1$$

The blocks of order 3 are **semi-magic** squares (sum of only rows and columns) with equal **semi-magic** sums.

$$Sm_{3 \times 3} := 4! \times 3! + 21$$

Exercise 8.3. Using the **crazy representations** given in Appendix 12.3, write the magic square of order 9 given below in terms of numbers:

$32 + 1 + 0!$	$4 \times (32 - 10)$	$43 + 21 \times 0$	$(4 + 3)^2 - 10$	$3^{2 \times (1 + 0!)}$	$43 + 2 \times 1 \times 0!$	$\sqrt{2^{10}}$	$43 \times 2 \times 1 \times 0!$	$4! + 3 + 2 \times 10$
$3! \times (-2 + 10)$	$32 + 1 \times 0!$	$(4 + 3) \times (2 + 10)$	$43 - 2 \times 1 \times 0!$	$3!^2 - 1 \times 0!$	$(4! + 3!) \times (2 + 1) - 0!$	$3!^2 + 10$	$3!^2 + 1 \times 0!$	$(43 - 2) \times (1 + 0!)$
$4!/3! \times 21 - 0!$	$43 + (21 \times 0)!$	$3!^2 + 1 + 0!$	$43 \times 2 - 1 \times 0!$	$(4 + 3)^2 \times 1 \times 0!$	$32 - 1 \times 0!$	$43 \times 2 + 1 \times 0!$	$32 + 10$	$3 \times (2 + 10)$
$4 + (3 + 2) \times 10$	$3! + 2 + 10$	$4! \times 3 + 21 \times 0!$	$(4 + 3)^2 + 10$	$3 - 2 + 10$	$4 \times (3 + 21) - 0!$	$4^3 - 2 - 10$	$3 \times 2 + 10$	$4 \times (3 + 21) + 0!$
$(4 + 3)^2 \times (1 + 0!)$	$(4! + 3) \times 2 - 1 \times 0!$	$3! - 2 + 10$	$(4! + 3!) \times (2 + 1) + 0!$	$43 + 2 + 10$	$3^2 + 10$	$3 \times \sqrt{2^{10}}$	$4! + 32 + 1 \times 0!$	$2 + 10$
$3!/2 + 10$	$4 + 3^2 \times 10$	$4! + 32 + 1 + 0!$	$3 + 2 + 10$	$(4 + 3!)^2 - 1 \times 0!$	$43 - 2 + 10$	$-3 + 2 \times 10$	$4 \times (3 + 2 \times 10)$	$4^3 + 2 - 10$
$(4!/3)^2 + 10$	$4 + 3 \times 21 + 0!$	$3 + 2 \times 10$	$4! \times 3 + (2 + 1)! + 0!$	$4^3 - 2 - 1 \times 0!$	$3 + 21 + 0!$	$3! \times (2 + 10)$	$3 \times (21 + 0!)$	$3! + 21 \times 0!$
$3! + 21 + 0!$	$4! \times 3 + 2 - 1 \times 0!$	$32 \times (1 + 0!)$	$21 \times 0!$	$4! \times 3 + 2 + 1 \times 0!$	$4! \times 3 - 2 - 1 \times 0!$	$3! + 2 \times 10$	$-4 + 3^{2+1+0!}$	$3 \times 21 - 0!$
$3 \times 21 \times 0!$	$(2 + 1 + 0!)!$	$4! \times 3 + (2 + 1)! \times 0!$	$43 + 21 + 0!$	$-3 + \sqrt{2^{10}}$	$\sqrt{(3 \times 2 + 1)! + 0!}$	$4 + 3 \times 21 \times 0!$	$21 + 0!$	$43 \times 2 - 10$

The **magic sums** of magic square of order 9 is given by

$$S_{9 \times 9} := (5! - 4! + 3) \times ((2 + 1)! - 0!)$$

The blocks of order 3 are **semi-magic** squares (sum of only rows and columns) with equal **semi-magic** sums.

$$Sm_{3 \times 3} := 4! \times 3! + 21 \times 0!$$

9 Magic Squares of Order 10

Example 9.1. Let’s consider a magic square of order 10 is given by

										505
1	80	65	97	39	22	48	86	53	14	505
98	12	9	66	90	74	55	33	41	27	505
47	81	23	79	16	35	94	60	62	8	505
70	57	88	34	2	91	29	15	76	43	505
84	99	52	11	45	68	73	7	30	36	505
13	38	44	10	77	56	82	21	95	69	505
75	46	40	83	28	19	67	92	4	51	505
59	24	96	42	61	3	20	78	37	85	505
26	5	17	58	93	50	31	64	89	72	505
32	63	71	25	54	87	6	49	18	100	505
505	505	505	505	505	505	505	505	505	505	505

9.1 Examples

The examples below are based on the Example 9.1. These are written in three different ways. One in increasing order of crazy representations starting with 1. The other two are in decreasing orders ending in 1 and 0.

Example 9.2. Based on **crazy representations** given in Appendix 12.1, the magic square of order 10 given in Example 9.1 is given by

1	$1-2+3^4$	$1+2^{3!}$	$1+(-2+3!)\times 4!$	$12+3+4!$	$-1+23$	$(1+23)\times \sqrt{4}$	$-1+23\times 4-5$	$-1+2\times (3+4!)$	$1\times 2\times (3+4)$
$12+3^4+5$	12	$12-3$	$1\times 2^{3!}+\sqrt{4}$	$(1+2)\times (3!+4!)$	$12\times 3!+\sqrt{4}$	$1+2\times (3+4!)$	$1-2+34$	$-1+2\times (-3+4!)$	$(1+2)^3$
$1\times 23+4!$	$1^2\times 3^4$	1×23	$-1\times 2+3^4$	$12/3\times 4$	1^2+34	$-1\times 2+3\times \sqrt{4^5}$	$(12+3)\times 4$	$1\times 2^{3!}-\sqrt{4}$	1×2^3
$12\times 3!-\sqrt{4}$	$-1+2\times (34-5)$	$(-1+23)\times 4$	$1^2\times 34$	1×2	$-1+23\times 4$	$1\times 2+3+4!$	$12+3$	76	$1+2\times (-3+4!)$
$12\times (3+4)$	$1+2+3\times \sqrt{4^5}$	$(1+2\times 3!)\times 4$	$-1+2\times 3!$	$-1+23\times \sqrt{4}$	$1\times 2\times 34$	$1^2+3\times 4!$	$1+2\times 3$	$(12+3)\times \sqrt{4}$	12×3
$1+2\times 3!$	$12\times 3+\sqrt{4}$	$(-1+23)\times \sqrt{4}$	$\sqrt{12\times 3}+4$	$-1+2\times (34+5)$	$12\times 3+4\times 5$	1^2+3^4	$(1+2)\times (3+4)$	$-1+(-2+3!)\times 4!$	$1+2\times 34$
$1+2+3\times 4!$	$12+34$	$12\times 3+4$	$1\times 2+3^4$	$1+23+4$	$1\times 23-4$	$-1+2\times 34$	$1\times 23\times 4$	$12/3$	$(1+2)^3+4!$
$-1+2^{3!}-4$	$1+23$	$(1+23)\times 4$	$12+3!+4!$	$1+2^{3!}-4$	$1+2$	$1+23-4$	$-1-2+3^4$	$1+2+34$	$1+2\times (-3+45)$
$1+23+\sqrt{4}$	$1\times 2+3$	$12+3+\sqrt{4}$	$1\times 2\times (34-5)$	$12+3^4$	$(1+(-2+3!))!\times \sqrt{4}$	$-1-2+34$	$1\times 2^{3!}$	$1+2^{3!}+4!$	$12\times 3!$
$12\times 3-4$	$-1+2^{3!}$	$1-2+3\times 4!$	25	54	87	$(1+2)!$	$1+(-2+3!)$	$12+3!$	$(1+(-2+3!))!\times 4$

In this case the **magic sum** of magic square of order 10 is given by

$$S_{10\times 10}:=(-1+2\times 3)^4-5!$$

Example 9.3. Based on *crazy representations* given in Appendix 12.2, the magic square of order 10 given in Example 9.1 is given by

1	$5\times 4\times (3+2-1)$	4^3+2-1	$4\times (3!-2)!+1$	$4+3!^2-1$	$43-21$	$(4+3)^2-1$	$43\times 2\times 1$	$(4!+3)\times 2-1$	$(4+3)\times 2\times 1$
$5+4!\times 3+21$	$3!\times 2\times 1$	$3^2\times 1$	$4^3+2\times 1$	$(4!+3!)\times (2+1)$	$4!\times 3+2\times 1$	$4!+32-1$	$32+1$	$43-2\times 1$	$3!+21$
$4\times 3!\times 2-1$	$(4!+3)\times (2+1)$	$(3!-2)!-1$	$5+4!\times 3+2\times 1$	$4\times (3+2-1)$	$3!^2-1$	$5\times (4!-3-2)-1$	$4\times (-3!+21)$	$4^3-2\times 1$	3^2-1
$4!\times 3-2\times 1$	$4!+32+1$	$5^{\sqrt{4}}+3\times 21$	$\sqrt{4}+32\times 1$	2×1	$5+43\times 2\times 1$	$\sqrt{4^3}+21$	$-3!+21$	$(-5+43)\times 2\times 1$	4^3-21
$4!/3!\times 21$	$5\times 4\times (3+2)-1$	$4\times (3!\times 2+1)$	$3!\times 2-1$	$43+2\times 1$	$5+4^3-2+1$	$4!\times 3+2-1$	$3\times 2+1$	$-\sqrt{4}+32\times 1$	$3!^2\times 1$
$3!\times 2+1$	$\sqrt{4}+3!^2\times 1$	$43+2-1$	3^2+1	$5-4\times (3-21)$	$4!+32\times 1$	$-5+43\times 2+1$	21	$4\times (3!-2)!-1$	$4!\times 3-2-1$
$4!\times 3+2+1$	$43+2+1$	$43-2-1$	$5\times 4+3\times 21$	$4+3+21$	$4-3!+21$	$4+3\times 21$	$4\times ((3!-2)!-1)$	$3+2-1$	$4!\times 3-21$
$-4+3\times 21$	$3+21$	$4\times (3+21)$	$43-2+1$	4^3-2-1	$2+1$	$4\times (3\times 2-1)$	$4!\times 3+(2+1)!$	$3!^2+1$	$43\times 2-1$
$\sqrt{4}+3+21$	$3\times 2-1$	$(\sqrt{4}-3!)+21$	$4^3-(2+1)!$	$4!\times 3+21$	$(4+3)^2+1$	$32-1$	$43+21$	$54+3!^2-1$	$4\times (-3+21)$
32×1	3×21	$4!\times 3-2+1$	$(3!-2)!+1$	$\sqrt{4}\times (3!+21)$	$43\times 2+1$	$(2+1)!$	$(4+3)^2\times 1$	$-3+21$	$(4+3!)^2\times 1$

In this case the **magic sum** of magic square of order 10 is given by

$$S_{10\times 10}:=5^4-(3+2)!\times 1$$

Example 9.4. Based on *crazy representations* given in Appendix 12.3, the magic square of order 10 given in Example 9.1 is given by

0!	$(3!+2)\times 10$	$43+21+0!$	$4\times (3+21)+0!$	$(4+3)^2-10$	$21+0!$	$3!\times (-2+10)$	$43\times 2\times 1\times 0!$	$(4!+3)\times 2-1\times 0!$	$3!-2+10$
$(4+3)^2\times (1+0!)$	$2+10$	$3^2\times 1\times 0!$	$3\times (21+0!)$	$3^2\times 10$	$(4!/3)^2+10$	$43+2+10$	$32+1\times 0!$	$43-2\times 1\times 0!$	$3!+21\times 0!$
$4!+3+2\times 10$	$3^{2\times (1+0!)}$	$3+2\times 10$	$4!\times 3+(2+1)!+0!$	$3\times 2+10$	$3!^2-1\times 0!$	$4+3^2\times 10$	$3\times 2\times 10$	$3\times 21-0!$	$-2+10$
$4+3\times (21+0!)$	$4!+32+1\times 0!$	$4\times (32-10)$	$32+1+0!$	$1+0!$	$(4!+3!)\times (2+1)+0!$	$-3+\sqrt{2^{10}}$	$3+2+10$	$43\times 2-10$	$43+21\times 0$
$(4+3)\times (2+10)$	$(4+3!)^2-1\times 0!$	4^3-2-10	$3-2+10$	$43+2\times 1\times 0!$	$4+3\times 21+0!$	$4!\times 3+2-1\times 0!$	$(2+1)!+0!$	$32-1-0!$	$3\times (2+10)$
$3!/2+10$	$3!^2+1+0!$	$43+(21\times 0)!$	10	$-4+3^{2+1+0!}$	4^3+2-10	$(43-2)\times (1+0!)$	$21\times 0!$	$4\times (3+21)-0!$	$4!\times 3-2-1\times 0!$
$4!\times 3+2+1\times 0!$	$3!^2+10$	$(3!-2)\times 10$	$4!/3!\times 21-0!$	$3!+21+0!$	3^2+10	$4+3\times 21\times 0!$	$4\times (3+2\times 10)$	$2+1+0!$	$43-2+10$
$(4+3)^2+10$	$(2+1+0!)!$	$3\times \sqrt{2^{10}}$	$32+10$	$4^3-2-1\times 0!$	$2+1\times 0!$	2×10	$4!\times 3+(2+1)!\times 0!$	$3!^2+1\times 0!$	$43\times 2-1\times 0!$
$3!+2\times 10$	$(2+1)!-0!$	$-3+2\times 10$	$4!+32+1+0!$	$4!\times 3+21\times 0!$	$(3+2)\times 10$	$32-1\times 0!$	$32\times (1+0!)$	$(4!+3!)\times (2+1)-0!$	$3!\times (2+10)$
$\sqrt{2^{10}}$	$3\times 21\times 0!$	$\sqrt{(3\times 2+1)!+0!}$	$3+21+0!$	$4+(3+2)\times 10$	$43\times 2+1\times 0!$	$(2+1)!\times 0!$	$(4+3)^2\times 1\times 0!$	$3!+2+10$	$(4+3\times 2)\times 10$

In this case the **magic sum** of magic square of order 10 is given by

$$S_{10 \times 10} := (4!/3!)! \times 21 + 0!$$

10 Block-Bordered Magic Squares

Below are two different ways of writing **block-bordered** magic square of order 10 based on magic squares of order 8 given in Examples 7.1.

Example 10.1. *Let’s consider a **block-bordered** magic square of order 10 with inner part as **pandiagonal** magic squares of order 8 is given by*

91	86	16	84	18	14	4	98	2	92
13	47	58	19	78	39	66	27	70	88
89	22	75	50	55	30	67	42	63	12
11	82	23	54	43	74	31	62	35	90
96	51	46	79	26	59	38	71	34	5
1	48	57	20	77	40	65	28	69	100
93	21	76	49	56	29	68	41	64	8
7	81	24	53	44	73	32	61	36	94
95	52	45	80	25	60	37	72	33	6
9	15	85	17	83	87	97	3	99	10

In this case, the 4 blocks of order 4 are **pandiagonal** magic squares of order 4 with magic sum $S_{4 \times 4} := 202$. The magic square of order 8 is with magic sums $S_{8 \times 8} := 404$. The magic sum of order 10 is $S_{10 \times 10} := 505$.

10.1 Examples

The examples below are based on the Example 2.1. These are written in three different ways. One in increasing order of crazy representations starting with 1. The other two are in decreasing orders ending in 1 and 0.

Example 10.2. *Based on **crazy representations** given in Appendix 12.1, the **block-bordered** magic square of order 10 given in Example 9.1 with inner part as **pandiagonal** magic square of order 8 with blocks of order 4 is given by*

$-1+23 \times 4$	$-1+23 \times 4-5$	$12/3 \times 4$	$12 \times (3+4)$	$12+3!$	$1 \times 2 \times (3+4)$	$12/3$	$12+3^4+5$	1×2	$1 \times 23 \times 4$
$1+2 \times 3!$	$1 \times 23+4!$	$1 \times 2 \times (34-5)$	$1 \times 23-4$	$-1-2 \times 3^4$	$12+3+4!$	$1 \times 2^{3!}+\sqrt{4}$	$(1+2)^3$	$12 \times 3!-\sqrt{4}$	$(-1+23) \times 4$
$1+2^{3!}+4!$	$-1+23$	$1+2+3 \times 4!$	$(1+(-2+3!)) \times \sqrt{4}$	$1+2 \times (3+4!)$	$(12+3) \times \sqrt{4}$	$-1+2 \times 34$	$12+3!+4!$	$-1+2^{3!}$	12
$-1+2 \times 3!$	1^2+3^4	1×23	$1 \times 2 \times (3+4!)$	$1+2 \times (-3+4!)$	$12 \times 3!+\sqrt{4}$	$-1-2+34$	$1 \times 2^{3!}-\sqrt{4}$	1^2+34	$(1+2) \times (3!+4!)$
$(1+23) \times 4$	$(1+2)^3+4!$	$12+34$	$-1 \times 2+3^4$	$1+23+\sqrt{4}$	$-1+2^{3!}-4$	$12 \times 3+\sqrt{4}$	$1-2+3 \times 4!$	$1^2 \times 34$	$1 \times 2+3$
1	$(1+23) \times \sqrt{4}$	$-1+2 \times (34-5)$	$1+23-4$	$-1+2 \times (34+5)$	$12 \times 3+4$	$1+2^{3!}$	$1+23+4$	$1+2 \times 34$	$(1+(-2+3!)) \times 4$
$12+3^4$	$(1+2) \times (3+4)$	$12 \times 3!+4$	$1+2 \times 3! \times 4$	$12 \times 3+4 \times 5$	$1 \times 2+3+4!$	$1 \times 2 \times 34$	$-1+2 \times (-3+4!)$	$1 \times 2^{3!}$	1×2^3
$1+2 \times 3$	$1^2 \times 3^4$	$1+23$	$-1+2 \times (3+4!)$	$(-1+23) \times \sqrt{4}$	$1^2+3 \times 4!$	$12 \times 3-4$	$1+2^{3!}-4$	12×3	$-1 \times 2+3 \times \sqrt{4^3}$
$-1+(-2+3!) \times 4!$	$(1+2 \times 3!) \times 4$	$-1+23 \times \sqrt{4}$	$1-2+3^4$	$1+(-2+3!)$	$(12+3) \times 4$	$1+2+34$	$12 \times 3!$	$1-2+34$	$(1+2)!$
$12-3$	$12+3$	$1+2 \times (-3+45)$	$12+3+\sqrt{4}$	$1 \times 2+3^4$	$(1+2)!+3^4$	$1+(-2+3!) \times 4!$	$1+2$	$1+2+3 \times \sqrt{4^3}$	$\sqrt{12 \times 3}+4$

In this case the 4 blocks of order 4 are **pandiagonal** magic squares of order 4. Below are magic sums:

$$S_{4\times 4} = -1 + 2 + 3^4 + 5!$$
$$S_{8\times 8} = 1 - 2 + 3^4 \times 5$$
$$S_{10\times 10} = (-1 + 2 \times 3)^4 - 5!$$

Example 10.3. Based on *crazy representations* given in Appendix 12.2, the **block-bordered** magic square of order 10 given in Example 9.1 with inner part as **pandiagonal** magic square of order 8 with blocks of order 4 is given by

$5 + 43 \times 2 \times 1$	$43 \times 2 \times 1$	$4 \times (3 + 2 - 1)$	$4!/3! \times 21$	$-3 + 21$	$(4 + 3) \times 2 \times 1$	$3 + 2 - 1$	$5 + 4! \times 3 + 21$	2×1	$4 \times ((3! - 2)! - 1)$
$3! \times 2 + 1$	$4 \times 3! \times 2 - 1$	$4^3 - (2 + 1)!$	$4 - 3! + 21$	$4! \times 3 + (2 + 1)!$	$4 + 3!^2 - 1$	$4^3 + 2 \times 1$	$3! + 21$	$4! \times 3 - 2 \times 1$	$5^{\sqrt{4}} + 3 \times 21$
$54 + 3!^2 - 1$	$43 - 21$	$4! \times 3 + 2 + 1$	$(4 + 3)^2 + 1$	$4! + 32 - 1$	$-\sqrt{4} + 32 \times 1$	$4 + 3 \times 21$	$43 - 2 + 1$	3×21	$3! \times 2 \times 1$
$3! \times 2 - 1$	$-5 + 43 \times 2 + 1$	$(3! - 2)! - 1$	$\sqrt{4} \times (3! + 21)$	43	74	31	62	$3!^2 - 1$	$(4! + 3!) \times (2 + 1)$
$4 \times (3 + 21)$	$4! \times 3 - 21$	$43 + 2 + 1$	$5 + 4! \times 3 + 2 \times 1$	$\sqrt{4} + 3 + 21$	$-4 + 3 \times 21$	$\sqrt{4} + 3!^2 \times 1$	$4! \times 3 - 2 + 1$	$\sqrt{4} + 32 \times 1$	$3 \times 2 - 1$
1	$(4 + 3)^2 - 1$	$4! + 32 + 1$	$4 \times (3 \times 2 - 1)$	$5 - 4 \times (3 - 21)$	$43 - 2 - 1$	$4^3 + 2 - 1$	$4 + 3 + 21$	$4! \times 3 - 2 - 1$	$(4 + 3!)^2 \times 1$
$4! \times 3 + 21$	21	$(-5 + 43) \times 2 \times 1$	$(4 + 3)^2 \times 1$	$4! + 32 \times 1$	$\sqrt{4^3} + 21$	$5 + 4^3 - 2 + 1$	$43 - 2 \times 1$	$43 + 21$	$3^2 - 1$
$3 \times 2 + 1$	$(4! + 3) \times (2 + 1)$	$3 + 21$	$(4! + 3) \times 2 - 1$	$43 + 2 - 1$	$4! \times 3 + 2 - 1$	32×1	$4^3 - 2 - 1$	$3!^2 \times 1$	$5 \times (4! - 3 - 2) - 1$
$4 \times (3! - 2)! - 1$	$4 \times (3! \times 2 + 1)$	$43 + 2 \times 1$	$5 \times 4 \times (3 + 2 - 1)$	$(3! - 2)! + 1$	$4 \times (-3! + 21)$	$3!^2 + 1$	$4 \times (-3 + 21)$	$32 + 1$	$(2 + 1)!$
$3^2 \times 1$	$-3! + 21$	$43 \times 2 - 1$	$(\sqrt{4} - 3!) + 21$	$5 \times 4 + 3 \times 21$	$43 \times 2 + 1$	$4 \times (3! - 2)! + 1$	$2 + 1$	$5 \times 4 \times (3 + 2) - 1$	$3^2 + 1$

In this case the 4 blocks of order 4 are **pandiagonal** magic squares of order 4. Below are magic sums:

$$S_{4\times 4} = -6 + 5! \times \sqrt{4} - 32 \times 1$$
$$S_{8\times 8} = 6! + 5!/4! - 321$$
$$S_{10\times 10} = 5^4 - (3 + 2)! \times 1$$

Example 10.4. Based on *crazy representations* given in Appendix 12.3, the **block-bordered** magic square of order 10 given in Example 9.1 with inner part as **pandiagonal** magic square of order 8 with blocks of order 4 is given by

$(4! + 3!) \times (2 + 1) + 0!$	$43 \times 2 \times 1 \times 0!$	$3 \times 2 + 10$	$(4 + 3) \times (2 + 10)$	$3! + 2 + 10$	$3! - 2 + 10$	$2 + 1 + 0!$	$(4 + 3)^2 \times (1 + 0!)$	$1 + 0!$	$4 \times (3 + 2 \times 10)$
$3!/2 + 10$	$4! + 3 + 2 \times 10$	$4! + 32 + 1 + 0!$	$3^2 + 10$	$4! \times 3 + (2 + 1)! \times 0!$	$(4 + 3)^2 - 10$	$3 \times (21 + 0!)$	$3! + 21 \times 0!$	$4 + 3 \times (21 + 0!)$	$4 \times (32 - 10)$
$(4! + 3!) \times (2 + 1) - 0!$	$21 + 0!$	$4! \times 3 + 2 + 1 \times 0!$	$(3 + 2) \times 10$	$43 + 2 + 10$	$32 - 1 - 0!$	$4 + 3 \times 21 \times 0!$	$32 + 10$	$3 \times 21 \times 0!$	$2 + 10$
$3 - 2 + 10$	$(43 - 2) \times (1 + 0!)$	$3 + 2 \times 10$	$4 + (3 + 2) \times 10$	$43 + 21 \times 0$	$(4!/3)^2 + 10$	$32 - 1 \times 0!$	$3 \times 21 - 0!$	$3!^2 - 1 \times 0!$	$3^2 \times 10$
$3 \times \sqrt{2^{10}}$	$43 - 2 + 10$	$3!^2 + 10$	$4! \times 3 + (2 + 1)! + 0!$	$3! + 2 \times 10$	$(4 + 3)^2 + 10$	$3!^2 + 1 + 0!$	$\sqrt{(3 \times 2 + 1)! + 0!}$	$32 + 1 + 0!$	$(2 + 1)! - 0!$
$0!$	$3! \times (-2 + 10)$	$4! + 32 + 1 \times 0!$	2×10	$-4 + 3^{2+1+0!}$	$(3! - 2) \times 10$	$43 + 21 + 0!$	$3! + 21 + 0!$	$4! \times 3 - 2 - 1 \times 0!$	$(4 + 3 \times 2) \times 10$
$4! \times 3 + 21 \times 0!$	$21 \times 0!$	$43 \times 2 - 10$	$(4 + 3)^2 \times 1 \times 0!$	$4^3 + 2 - 10$	$-3 + \sqrt{2^{10}}$	$4 + 3 \times 21 + 0!$	$43 - 2 \times 1 \times 0!$	$32 \times (1 + 0!)$	$-2 + 10$
$(2 + 1)! + 0!$	$3^{2 \times (1 + 0!)}$	$(2 + 1 + 0!)!$	$(4! + 3) \times 2 - 1 \times 0!$	$43 + (21 \times 0)!$	$4! \times 3 + 2 - 1 \times 0!$	$\sqrt{2^{10}}$	$4^3 - 2 - 1 \times 0!$	$3 \times (2 + 10)$	$4 + 3^2 \times 10$
$4 \times (3 + 21) - 0!$	$4^3 - 2 - 10$	$43 + 2 \times 1 \times 0!$	$(3! + 2) \times 10$	$3 + 21 + 0!$	$3 \times 2 \times 10$	$3!^2 + 1 \times 0!$	$3! \times (2 + 10)$	$32 + 1 \times 0!$	$(2 + 1)! \times 0!$
$3^2 \times 1 \times 0!$	$3 + 2 + 10$	$43 \times 2 - 1 \times 0!$	$-3 + 2 \times 10$	$4!/3! \times 21 - 0!$	$43 \times 2 + 1 \times 0!$	$4 \times (3 + 21) + 0!$	$2 + 1 \times 0!$	$(4 + 3!)^2 - 1 \times 0!$	10

In this case the 4 blocks of order 4 are **pandiagonal** magic squares of order 4. Below are magic sums:

$$S_{4\times 4} = -4!/3 + 210$$
$$S_{8\times 8} = 54 + 3!/2 - 10$$
$$S_{10\times 10} = (4!/3!)! \times 21 + 0!$$

11 Author's Contribution to Magic Squares and Recreation of Numbers

For author's contribution to **magic squares** and **recreation of numbers** please see the links below:

- **Inder J. Taneja**, Magic Squares, <https://inderjtaneja.com/2019/06/27/publications-magic-squares/>
- **Inder J. Taneja**, Recreation of Numbers, <https://inderjtaneja.com/2019/06/27/publications-recreation-of-numbers/>

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• Crazy Representations

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• Block-Wise and Block-Bordered Magic Squares

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• **Creative Magic Squares**

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12 **Appendix: Crazy Representations**

Within the magic squares we have used total 1 to 100 numbers for the magic squares of orders 3 to 10. The magic sums vary according to each magic square. Any way the maximum number used is 505. Below are representations of numbers from 1 to 1000 in terms **crazy representations**. These representations are of three types. One in increasing order of digits starting from 1. The second in decreasing order of digits ending in 1. The third is also in decreasing orders ending in 0. In each case the minimum possible digits are used. More details can be seen in author’s work [6].

12.1 **Crazy Representations: Increasing Order Beginning With 1**

1 := 1	10 := $\sqrt{12 \times 3} + 4$	19 := $1 \times 23 - 4$
2 := 1×2	11 := $-1 + 2 \times 3!$	20 := $1 + 23 - 4$
3 := $1 + 2$	12 := 12	21 := $(1 + 2) \times (3 + 4)$
4 := $12/3$	13 := $1 + 2 \times 3!$	22 := $-1 + 23$
5 := $1 \times 2 + 3$	14 := $1 \times 2 \times (3 + 4)$	23 := 1×23
6 := $(1 + 2)!$	15 := $12 + 3$	24 := $1 + 23$
7 := $1 + 2 \times 3$	16 := $12/3 \times 4$	25 := $1 + (-2 + 3)!$
8 := 1×2^3	17 := $12 + 3 + \sqrt{4}$	26 := $1 + 23 + \sqrt{4}$
9 := $12 - 3$	18 := $12 + 3!$	27 := $(1 + 2)^3$

28 := 1 + 23 + 4	63 := −1 + 2 ^{3!}	98 := 12 + 3 ⁴ + 5
29 := 1 × 2 + 3 + 4!	64 := 1 × 2 ^{3!}	99 := 1 + 2 + 3 × √4 ⁵
30 := (12 + 3) × √4	65 := 1 + 2 ^{3!}	100 := (1 + (−2 + 3!)!) × 4
31 := −1 − 2 + 34	66 := 1 × 2 ^{3!} + √4	101 := (1 + 23) × 4 + 5
32 := 12 × 3 − 4	67 := −1 + 2 × 34	102 := (1 + 2) × 34
33 := 1 − 2 + 34	68 := 1 × 2 × 34	103 := 123 − 4 × 5
34 := 1 ² × 34	69 := 1 + 2 × 34	104 := 123 − 4! + 5
35 := 1 ² + 34	70 := 12 × 3! − √4	105 := −12 − 3 + 4! × 5
36 := 12 × 3	71 := 1 − 2 + 3 × 4!	106 := 1 ² + (−3 + 4!) × 5
37 := 1 + 2 + 34	72 := 12 × 3!	107 := (1 + 2) × 34 + 5
38 := 12 × 3 + √4	73 := 1 ² + 3 × 4!	108 := (1 + 2) ³ × 4
39 := 12 + 3 + 4!	74 := 12 × 3! + √4	109 := 1 × 2 ^{3!} + 45
40 := 12 × 3 + 4	75 := 1 + 2 + 3 × 4!	110 := (−12 + 34) × 5
41 := −1 + 2 × (−3 + 4!)	76 := 12 × 3! + 4	111 := −12 × 3/4 + 5!
42 := 12 + 3! + 4!	77 := −1 + 2 × (34 + 5)	112 := −12/3 − 4 + 5!
43 := 1 + 2 × (−3 + 4!)	78 := −1 − 2 + 3 ⁴	113 := −1 + 234 − 5!
44 := (−1 + 23) × √4	79 := −1 × 2 + 3 ⁴	114 := −(1 + 2)! + (3 + √4)!
45 := −1 + 23 × √4	80 := 1 − 2 + 3 ⁴	115 := −1 + (2 + 3)! − 4
46 := 12 + 34	81 := 1 ² × 3 ⁴	116 := 1 × (2 + 3)! − 4
47 := 1 × 23 + 4!	82 := 1 ² + 3 ⁴	117 := 1 + (2 + 3)! − 4
48 := (1 + 23) × √4	83 := 1 × 2 + 3 ⁴	118 := 1 × (2 + 3)! − √4
49 := 1 + 2 × 3! × 4	84 := 12 × (3 + 4)	119 := −1 + (2 + 3)!
50 := (1 + (−2 + 3!)!) × √4	85 := 1 + 2 × (−3 + 45)	120 := (1 × 2 + 3)!
51 := (1 + 2) ³ + 4!	86 := −1 + 23 × 4 − 5	121 := 1 + (2 + 3)!
52 := (1 + 2 × 3!) × 4	87 := (1 + 2)! + 3 ⁴	122 := 1 × 2 + (3 + √4)!
53 := −1 + 2 × (3 + 4!)	88 := (−1 + 23) × 4	123 := 123
54 := 1 × 2 × (3 + 4!)	89 := 1 + 2 ^{3!} + 4!	124 := 1 × (2 + 3)! + 4
55 := 1 + 2 × (3 + 4!)	90 := (1 + 2) × (3! + 4!)	125 := 1 + (2 + 3)! + 4
56 := 12 × 3 + 4 × 5	91 := −1 + 23 × 4	126 := (1 + 2)! × (−3 + 4!)
57 := −1 + 2 × (34 − 5)	92 := 1 × 23 × 4	127 := 123 + 4
58 := 1 × 2 × (34 − 5)	93 := 12 + 3 ⁴	128 := 1 × 2 ³⁺⁴
59 := −1 + 2 ^{3!} − 4	94 := −1 × 2 + 3 × √4 ⁵	129 := 1 + 2 ³⁺⁴
60 := (12 + 3) × 4	95 := −1 + (−2 + 3!) × 4!	130 := (1 + 2 ^{3!}) × √4
61 := 1 + 2 ^{3!} − 4	96 := (1 + 23) × 4	131 := 12 + 3 − 4 + 5!
62 := 1 × 2 ^{3!} − √4	97 := 1 + (−2 + 3!) × 4!	132 := 12 + (3 + √4)!

133 := $-1 \times 2 + 3 \times 45$	168 := $(1 + 2 \times 3) \times 4!$	203 := $(-1 + 2 + 3!) \times (4! + 5)$
134 := $1 - 2 + 3 \times 45$	169 := $(1 + 2 \times 3!)^{\sqrt{4}}$	204 := $(1 + 2)! \times 34$
135 := $1^2 \times 3 \times 45$	170 := $1^2 \times 34 \times 5$	205 := $(1 + 2^{3!} - 4!) \times 5$
136 := $1^2 + 3 \times 45$	171 := $1^2 + 34 \times 5$	206 := $-1 + 23 \times (4 + 5)$
137 := $1 \times 2 + 3 \times 45$	172 := $1 \times 2 + 34 \times 5$	207 := $1 \times 23 \times (4 + 5)$
138 := $-(1 + 2)! + 3! \times 4!$	173 := $1 + 2 + 34 \times 5$	208 := $1 + 23 \times (4 + 5)$
139 := $12 \times 3 \times 4 - 5$	174 := $-(1 + 2)! + 3!!/4$	209 := $(1 + 2)! \times 34 + 5$
140 := $(1 + 23 + 4) \times 5$	175 := $(1^2 + 34) \times 5$	210 := $1 \times 2 \times (-3 + 4!) \times 5$
141 := $-1 - 2 + 3! \times 4!$	176 := $1 \times 2 + 3! \times (4! + 5)$	211 := $-1 + 23 \times 4 + 5!$
142 := $-1 \times 2 + 3! \times 4!$	177 := $(-12 + 3!!)/4$	212 := $(1 + 2)!^3 - 4$
143 := $-1 + 2 \times 3 \times 4!$	178 := $-1 \times 2 + 3!!/4$	213 := $12 + 3^4 + 5!$
144 := $12 \times 3 \times 4$	179 := $1 - 2 + 3!!/4$	214 := $(1 + 2)!^3 - \sqrt{4}$
145 := $1 + 2 \times 3 \times 4!$	180 := $(\sqrt{12 \times 3})!/4$	215 := $(1 + 2 \times (-3 + 4!)) \times 5$
146 := $1 \times 2 + 3! \times 4!$	181 := $1 + (2 \times 3)!/4$	216 := $(1 + 2)!^3$
147 := $123 + (4)!$	182 := $1 \times 2 + 3!!/4$	217 := $(1 + 2)!^3 - 4 + 5$
148 := $1 + 23 + 4 + 5!$	183 := $(12 + 3!!)/4$	218 := $(1 + 2)!^3 + \sqrt{4}$
149 := $12 \times 3 \times 4 + 5$	184 := $1 - 2 + 3!!/4 + 5$	219 := $123 - 4! + 5!$
150 := $(1 + 2)! + 3! \times 4!$	185 := $(1 + 2 + 34) \times 5$	220 := $(1 + 2)!^3 + 4$
151 := $-1 - 2 + 34 + 5!$	186 := $(1 + 2)! + 3!!/4$	221 := $12 \times (-3! + 4!) + 5$
152 := $123 + 4! + 5$	187 := $-1 + 2 \times 34 + 5!$	222 := $(1 + 2) \times 34 + 5!$
153 := $(1 + 2) \times (3! + 45)$	188 := $1 \times 2 \times 34 + 5!$	223 := $(1 + 2)!^3 + \sqrt{4} + 5$
154 := $1^2 \times (34 + 5!)$	189 := $1 + 2 \times 34 + 5!$	224 := $-1 + (2 + 3) \times 45$
155 := $1^2 + 34 + 5!$	190 := $-1 \times 2 + 3 \times 4! + 5!$	225 := $(12 + 3)^{\sqrt{4}}$
156 := $12 + 3! \times 4!$	191 := $-1 + 2^3 \times 4!$	226 := $1 + (2 + 3) \times 45$
157 := $1 \times 2 \times 3^4 - 5$	192 := $1 \times 2^3 \times 4!$	227 := $-1 + 2 \times 3! \times (4! - 5)$
158 := $-12 + 34 \times 5$	193 := $1 + 2^3 \times 4!$	228 := $(-1 + 234 - 5)$
159 := $-1 - (2 - 34) \times 5$	194 := $1 \times 2 + 3 \times 4! + 5!$	229 := $1 \times 234 - 5$
160 := $(12 \times 3 - 4) \times 5$	195 := $(12 + 3 + 4!) \times 5$	230 := $(12 + 34) \times 5$
161 := $-1 + 2 \times 3^4$	196 := $(12 \times 3! + 4) + 5!$	231 := $(1 + 2)!!/3 - 4 - 5$
162 := $1 \times 2 \times 3^4$	197 := $(1 + 2)!^3 - 4! + 5$	232 := $1 \times 2^3 \times (4! + 5)$
163 := $1 + 2 \times 3^4$	198 := $-1 - 2 + 3^4 + 5!$	233 := $-1 + 234$
164 := $-1 + (2 + 3)! + 45$	199 := $-1 \times 2 + 3^4 + 5!$	234 := 1×234
165 := $(1 - 2 + 34) \times 5$	200 := $(12 \times 3 + 4) \times 5$	235 := $1 + 234$
166 := $12 + 34 + 5!$	201 := $1^2 \times (3^4 + 5!)$	236 := $(1 + 2)!!/3 - 4$
167 := $1 \times 2 \times 3^4 + 5$	202 := $-1 + 2 + 3^4 + 5!$	237 := $1 + (2 + 3)! - 4 + 5!$

238 := (1 + 2)!!/3 – √4	273 := 1 + 2 + 3! × 45	308 := 1 × 2 × (34 + 5!)
239 := –1 + (2 + 3)! × √4	274 := –1 + 2 + 3 + 45 × 6	309 := 1 + 2 × (34 + 5!)
240 := (1 + 2)!!/3	275 := (1 + 2 × (3 + 4!)) × 5	310 := (1 × 2 ^{3!} – √4) × 5
241 := 1 + (2 + 3)! × √4	276 := 12 × (3 + 4 × 5)	311 := –1 + 2 ³ × 4! + 5!
242 := (1 + (2 + 3)!) × √4	277 := –1 + 2 × (3! × 4! – 5)	312 := (1 + 2 × 3!) × 4!
243 := (1 + 2) × 3 ⁴	278 := 1 × 2 × (3! × 4! – 5)	313 := 1 + 2 ³ × 4! + 5!
244 := (1 + 2)!!/3 + 4	279 := (1 + 2) × (–3 – 4! + 5!)	314 := 1 × 2 + 3! × (–4 + 56)
245 := (1 + 2)! ³ + 4! + 5	280 := (12 – 3 – 4) × 56	315 := (1 + 2 × 3) × 45
246 := 123 × √4	281 := –1 + 2 × (–3 + 4! + 5!)	316 := (1 + 2)! – 3!! + 4 ⁵ + 6
247 := 123 + 4 + 5!	282 := 12 + 3! × 45	317 := (1 + 2 × 3!) × 4! + 5
248 := (1 + 2) × 3 ⁴ + 5	283 := 12 × 3! × 4 – 5	318 := (1 × 2 ³ + 45) × 6
249 := (1 + 2)!!/3 + 4 + 5	284 := 1 + 2 × 3! × 4! – 5	319 := (–1 + 2 × 3!) × (4! + 5)
250 := –1 + (–2 + 3!) ⁴ – 5	285 := (12 + 3) × (4! – 5)	320 := 1 × 2 ^{3×√4} × 5
251 := (12/3) ⁴ – 5	286 := –1 × 2 + 3 × (–4! + 5!)	321 := 1 + 2 ^{3×√4} × 5
252 := 12 × (–3 + 4!)	287 := –1 + 2 × 3! × 4!	322 := 1 × 23 × (4 × 5 – 6)
253 := –1 + 2 × (3 + 4 + 5!)	288 := 12 × 3! × 4	323 := 1 – 2 + 3! × (4 + 5) × 6
254 := 1 × 2 × (3 + 4 + 5!)	289 := 1 + 2 × 3! × 4!	324 := 12 × (3 + 4!)
255 := –1 + (2 – 3!) ⁴	290 := 1 × 2 + 3 × (–4! + 5!)	325 := (–1 + 2 ^{3!} + √4) × 5
256 := (12/3) ⁴	291 := 1 + 2 + 3 × (–4! + 5!)	326 := 1 × 2 + 3! × (4 + 5) × 6
257 := 1 + (2 – 3!) ⁴	292 := –1 + 2 × 3! × 4! + 5	327 := –12 + 345 – 6
258 := –12 + 3! × 45	293 := 12 × 3! × 4 – 5	328 := 1 × 2 × (34 × 5 – 6)
259 := –1 + 2 × (3! + 4 + 5!)	294 := (1 + 2)! – 3 × (4! – 5!)	329 := 12 × (3 + 4!) + 5
260 := (1 + 2 ^{3!}) × 4	295 := (–1 + 2 ^{3!} – 4) × 5	330 := (1 + 2) × (–3! – 4 + 5!)
261 := (12/3) ⁴ + 5	296 := 12 × 3! + 4 × 56	331 := 1 + (2 ^{3!} + √4) × 5
262 := –1 + 23 + √4 × 5!	297 := (1 + 2) × (3 – 4! + 5!)	332 := (1 + 2)! ³ – 4 + 5!
263 := –1 + 2 × (3 × 4 + 5!)	298 := –1 × 2 + 3!!/4 + 5!	333 := –12 + 345
264 := √1 + (2 + 3)! × 4!	299 := 1 – 2 + 3!!/4 + 5!	334 := (1 + 2)! ³ – √4 + 5!
265 := (–1 + 2 × (3 + 4!)) × 5	300 := (12 + 3) × 4 × 5	335 := (–1 + 2 × 34) × 5
266 := 1 × 2 + 3! × 4! + 5!	301 := –1 + 2 + 3!!/4 + 5!	336 := –12 + 3 × (–4 + 5!)
267 := 123 + 4! + 5!	302 := 1 × 2 + 3!!/4 + 5!	337 := –1 × 2 + 345 – 6
268 := –1 × 2 + 3! × 45	303 := (12 + 3!!)/4 + 5!	338 := (1 + 2)! ³ + √4 + 5!
269 := 1 – 2 + 3! × 45	304 := 1 × 2 ^{3!} + √4 × 5!	339 := –(1 + 2)! + 345
270 := 1 × 2 × 3 × 45	305 := (1 + 2 ^{3!} – 4) × 5	340 := 1 × 2 × 34 × 5
271 := 1 + 2 × 3 × 45	306 := (1 + 2)! × (3! + 45)	341 := 1 + 2 × 34 × 5
272 := 1 × 2 + 3! × 45	307 := –1 + 2 × (34 + 5!)	342 := –1 – 2 + 345

343 := $-1 \times 2 + 345$	378 := $(1 + 2) \times (3! + 4! \times 5)$	413 := $12 \times 34 + 5$
344 := $1 - 2 + 345$	379 := $-1 - 2 \times 34 \times 5 + 6!$	414 := $-1 + (2 + 3^4) \times 5$
345 := $1^2 \times 345$	380 := $(12 \times 3! + 4) \times 5$	415 := $(1 \times 2 + 3^4) \times 5$
346 := $1^2 + 345$	381 := $(1 + 2) \times (3 + 4 + 5!)$	416 := $1 + (2 + 3^4) \times 5$
347 := $1 \times 2 + 345$	382 := $1 \times 2 \times (3!/4 + 5 + 6)$	417 := $12 + 3^4 \times 5$
348 := $-12 + 3!/ \sqrt{4}$	383 := $-1 + 2 \times (3 \times 4! + 5!)$	418 := $(-1 + 23) \times (4! - 5)$
349 := $-1 + (-2 + 3 \times 4!) \times 5$	384 := $12 \times (3! - 4)^5$	419 := $12 \times 34 + 5 + 6$
350 := $1 \times 2 + 3 \times (-4 + 5!)$	385 := $1 + 2 \times (3 \times 4! + 5!)$	420 := $12 \times (3 + 4) \times 5$
351 := $(1 + 2)! + 345$	386 := $12 + 34 \times (5 + 6)$	421 := $12^3/4 - 5 - 6$
352 := $(-1 + 2 \times 3!) \times \sqrt{4^5}$	387 := $(1 + 2) \times (\sqrt{3^4} + 5!)$	422 := $1 \times 2 \times (-3! \times 4! - 5) + 6!$
353 := $-1 + 234 + 5!$	388 := $-1 + (-2 + 3^4) \times 5 - 6$	423 := $(1 + 2) \times (-3 + 4! + 5!)$
354 := $(-12 + 3!)/ \sqrt{4}$	389 := $-1 + 2 \times (3 \times 4! + 5!) + 6$	424 := $-1 \times 2 + 3 \times (4! + 5!) - 6$
355 := $1 + 234 + 5!$	390 := $(-1 - 2 + 3^4) \times 5$	425 := $-1 + 23 \times 4! - 5! - 6$
356 := $1 + 2 \times 3!/4 - 5$	391 := $-1 + 2^{\sqrt{3^4}} - 5!$	426 := $-(1 + 2)! + 3 \times (4! + 5!)$
357 := $-1 - 2 + 3!/ \sqrt{4}$	392 := $1 \times 2^{\sqrt{3^4}} - 5!$	427 := $(1 + 2) \times 3! \times 4! - 5$
358 := $-1 \times 2 + 3!/ \sqrt{4}$	393 := $-12 + 3^4 \times 5$	428 := $12 \times 34 + 5!/6$
359 := $-1 + 2 \times 3!/4$	394 := $-1 + (-2 + 3^4) \times 5$	429 := $-1 - 2 + 3 \times (4! + 5!)$
360 := $(12 + 3) \times 4!$	395 := $1 \times (-2 + 3^4) \times 5$	430 := $-1 \times 2 + 3 \times (4! + 5!)$
361 := $1 + (2 \times 3)!/ \sqrt{4}$	396 := $1 + (-2 + 3^4) \times 5$	431 := $-1 + 23 \times 4! - 5!$
362 := $1 + (2 + 3!)/ \sqrt{4}$	397 := $12 \times 34 - 5 - 6$	432 := $(12 + 3!) \times 4!$
363 := $1 + 2 + 3!/ \sqrt{4}$	398 := $1 - 2 + 3^4 \times 5 - 6$	433 := $-1 + 2 + 3 \times (4! + 5!)$
364 := $(1 + (2 + 3)!) \times 4 - 5!$	399 := $-(1 + 2)! + 3^4 \times 5$	434 := $1 \times 2 + 3 \times (4! + 5!)$
365 := $(12 + 3) \times 4! + 5$	400 := $(1 - 2 + 3^4) \times 5$	435 := $(12 + 3) \times (4! + 5)$
366 := $(12 + 3!)/ \sqrt{4}$	401 := $-1 + 2 \times (3^4 + 5!)$	436 := $-1 + 23 \times (4! - 5)$
367 := $1 \times 2 + 3!/ \sqrt{4} + 5$	402 := $-1 - 2 + 3^4 \times 5$	437 := $(1 + 2) \times 3! \times 4! + 5$
368 := $1 + 2 + 3!/ \sqrt{4} + 5$	403 := $12 \times 34 - 5$	438 := $1 + 23 \times (4! - 5)$
369 := $123 \times \sqrt{4 + 5}$	404 := $1 - 2 + 3^4 \times 5$	439 := $-1 + (2^3! + 4!) \times 5$
370 := $(1 \times 2 + 3 \times 4!) \times 5$	405 := $(12 - 3) \times 45$	440 := $(-1 + 23) \times 4 \times 5$
371 := $1 - 2 + 3 \times (4 + 5!)$	406 := $1^2 + 3^4 \times 5$	441 := $(1 + 2) \times (3 + 4! + 5!)$
372 := $12 + 3!/ \sqrt{4}$	407 := $(1 \times (2 + ((3^4) \times 5)))$	
373 := $-1 + 2 + 3 \times (4 + 5!)$	408 := (12×34)	442 := $-1 \times 2 \times (3! \times 4! - 5) + 6!$
374 := $1 \times 2 + 3 \times (4 + 5!)$	409 := $1 + 2 \times 3! \times 4! + 5!$	443 := $12^3/4 + 5 + 6$
375 := $1 + 2 + 3 \times (4 + 5!)$	410 := $(1^2 + 3^4) \times 5$	444 := $12 + 3 \times (4! + 5!)$
376 := $(12/3)^4 + 5!$	411 := $(1 + 2)! + 3^4 \times 5$	445 := $(1 + 2^3! + 4!) \times 5$
377 := $1 + 2^3! \times 4 + 5!$	412 := $-1 \times 2 \times (34 + 5!) + 6!$	446 := $(-1 + 23) \times 4 \times 5 + 6$

447 := (1 + 2) × (3! × 4! + 5)	482 := 1 − 2 + 3 + 4 × 5!	517 := 1 × 2 ^{√34} + 5
448 := 1 × 2 ^{3!} × (√4 + 5)	483 := (−1 + 2) × (3 + 4 × 5!)	518 := 1 + 2 ^{√34} + 5
449 := 1 + 2 ^{3!} × (√4 + 5)	484 := (−1 + 23) ^{√4}	519 := (1 + 2)!! − 3 ⁴ − 5!
450 := (1 + 2) × (3! + 4!) × 5	485 := 1 × (2 + 3)! × 4 + 5	520 := (−1 × 2 + 3!) × (4 + 5! + 6)
451 := −1 × 2 − 3 + 456	486 := (1 + 2)! × 3 ⁴	521 := 1 − 2 + 3 × (4! + 5) × 6
452 := 1 − 2 − 3 + 456	487 := 123 × 4 − 5	522 := (1 + 2) × 3! × (4! + 5)
453 := −(1 + 2) ³ + 4 × 5!	488 := 1 × 2 ³ + 4 × 5!	523 := (−1 + 23) × 4! + 5
454 := 1 ² − 3 + 456	489 := 12 − 3 + 4 × 5!	524 := 1 × 23 ^{√4} − 5
455 := (−1 + 23 × 4) × 5	490 := −(12 + 34) × 5 + 6!	525 := (1 + 2) × (3!!/4 − 5)
456 := (1 + 23) × (4! − 5)	491 := (1 + 2)! × 3 ⁴ + 5	526 := −1 + 23 + 4 × (5! + 6)
457 := −1 × 23 + 4 × 5!	492 := 123 × 4	527 := −1 + 2 × (3! × 4! + 5!)
458 := 1 − 23 + 4 × 5!	493 := 1 + 2 × 3! + 4 × 5!	528 := −1 + 23 ^{√4}
459 := −1 + 23 × 4 × 5	494 := 1 × 2 × (3 + 4 − 5!) + 6!	529 := 1 × 23 ^{√4}
460 := 1 × 23 × 4 × 5	495 := (123 − 4!) × 5	530 := 1 + 23 ^{√4}
461 := 1 + 23 × 4 × 5	496 := 12/3 × (4 + 5!)	531 := −1 + 23 × 4! − 5!/6
462 := (1 + 2) × (34 + 5!)	497 := 123 × 4 + 5	532 := 1 × 23 × 4! − 5!/6
463 := −1 + (−2 + 3!) × (−4 + 5!)	498 := 12 + 3! + 4 × 5!	533 := (−1 + 23) × 4! + 5
464 := 12/3 × (−4 + 5!)	499 := 1 × (2 + 3) ⁴ − 5! − 6	534 := 1 × 23 ^{√4} + 5
465 := (12 + 3 ⁴) × 5	500 := (1 + (−2 + 3!)!) × 4 × 5	535 := (1 + 2) × 3!!/4 − 5
466 := (1 + 2)! × 3 ⁴ − 5!/6	501 := 12 + 3 + 4 × 5! + 6	536 := −1 × 2 ^{3!} − 4! × 5 + 6!
467 := −1 − 2 × 3! + 4 × 5!	502 := −1 + 23 + 4 × 5!	537 := (1 + 2) × (3!!/4 + 5 − 6)
468 := 12 × (34 + 5)	503 := 1 × 23 + 4 × 5!	538 := −1 × 2 − (3! − 4!) × 5 × 6
469 := 1 − 2 × 3! + 4 × 5!	504 := 12 × (−3 + 45)	539 := −1 + 2 × 3! × 45
470 := 1 × 2 − 3! + 4 × 5! − 6	505 := (−1 + 2 × 3) ⁴ − 5!	540 := (1 + 2) × 3!!/4
471 := −(1 + 2) − 3! + 4 × 5!	506 := 1 + (2 + 3) ⁴ − 5!	541 := 1 + 2 × 3! × 45
472 := −1 × 2 − 3! + 4 × 5!	507 := (1 + 2) ³ + 4 × 5!	542 := 1 + 23 × 4! − 5 − 6
473 := 1 − 2 ³ + 4 × 5!	508 := 1 + 2 ^{√34} − 5	543 := −1 + 2 ^{3!} + 4 × 5!
474 := −12 + 3! + 4 × 5!	509 := 1234 − 5 − 6!	544 := 1 × 2 ^{3!} + 4 × 5!
475 := 1 × (2 + 3)! × 4 − 5	510 := (1 + 2) × 34 × 5	545 := (1 + 2) × 3!!/4 + 5
476 := (−1 + (2 + 3)!) × 4	511 := −1 + 2 ^{√34}	546 := −1 + 23 × 4! − 5
477 := (1 − 2) × 3 + 4 × 5!	512 := 1 × 2 ^{√34}	547 := 1 × 23 × 4! − 5
478 := −1 + 2 − 3 + 4 × 5!	513 := 1 + 2 ^{√34}	548 := 1 + 23 × 4! − 5
479 := −1 + (2 + 3)! × 4	514 := −1 × 2 − (34 − 5!) × 6	549 := −1 + (2 + 3) × (−4 + 5! − 6)
480 := 1 × (2 + 3)! × 4	515 := (1 + 2 ^{3!}) × (4! − 5) − 6!	550 := (1 + 2)!! − 34 × 5
481 := 1 + (2 + 3)! × 4	516 := 12 × 3 + 4 × 5!	551 := −1 + 23 × 4!

552 := 1 × 23 × 4!	587 := 1 × 2 − 3 × 45 + 6!	622 := −1 × 2 + 3!! + 4! − 5!
553 := 1 + 23 × 4!	588 := (1 + 2)!! − 3 × 4 − 5!	623 := 1 − 2 + 3!! + 4! − 5!
554 := 1 − 23 − 4! − 5! + 6!	589 := −1 + (2 + 3) × (−√4 + 5!)	624 := −1 + (2 + 3) ⁴
555 := (1 + 2) × (3!!/4 + 5)	590 := (1 + 2)!! − 3! − 4 − 5!	625 := 1 × (2 + 3) ⁴
556 := −1 + 23 × 4! + 5	591 := 1 + (2 + 3) × (−√4 + 5!)	626 := 1 + (2 + 3) ⁴
557 := 1 × 23 × 4! + 5	592 := −12 + 3!! + 4 − 5!	627 := 1 + 2 + 3!! + 4! − 5!
558 := 1 + 23 × 4! + 5	593 := −1 − 2 + 3!! − 4 − 5!	628 := 1 + 23 + 4 − 5! + 6!
559 := 1 − 2 × 3 ⁴ + 5! × 6	594 := (1 + 2)!! − 3! − 4! × 5	629 := −1 + (2 + 3) ⁴ + 5
560 := −12 × 3 − 4 − 5! + 6!	595 := (123 − 4) × 5	630 := (1 − 2 × 3) ⁴ + 5
561 := 1 ² + (3! + 4) × 56	596 := 1 × (2 × 3)! − 4 − 5!	631 := 1 + (2 + 3) ⁴ + 5
562 := 12 − 34 × 5 + 6!	597 := 1 + (2 × 3)! − 4 − 5!	632 := 1 × 2 ^{√34} + 5!
563 := 1 + 2 + (3! + 4) × 56	598 := 1 × 2 + 3!! − 4 − 5!	633 := (1 + 2)!! − 3 × (4! + 5)
564 := −12 + 3!! − 4! − 5!	599 := 1 − 2 + 3!! − 4! × 5	634 := (1 + 2)!! + 34 − 5!
565 := 1 − 2 − 34 − 5! + 6!	600 := (1 + 2)!! − (3 + √4)!	635 := (123 + 4) × 5
566 := (1 + 2)!! − 34 − 5!	601 := (1 + 2)!! − 3 + 4 − 5!	636 := 12 + 3!! + 4! − 5!
567 := (−1 + 2 ^{3!}) × (4 + 5)	602 := −1 × 2 + 3!! + 4 − 5!	637 := 1 + 2 + 34 − 5! + 6!
568 := −12 × 3 + 4 − 5! + 6!	603 := 123 + 4 × 5!	638 := (−1 + 23) × (4! + 5)
569 := (1 − 2 × 3) ⁴ − 56	604 := 1 × (2 × 3)! + 4 − 5!	639 := (1 + 2)!! − 3 ⁴
570 := −(1 + 2)! − 3! × (4! − 5!)	605 := (123 − √4) × 5	640 := 1 × 2 ³⁺⁴ × 5
571 := (1 + 23) × 4! − 5	606 := (1 + 2)! × 3 ⁴ + 5!	641 := 1 + 2 ³⁺⁴ × 5
572 := 1 + (−2 + 3!)! × 4! − 5	607 := 1 + 2 + 3!! + 4 − 5!	642 := −123 + 45 + 6!
573 := (1 + 2)!! − 3 − 4! − 5!	608 := 12 + 3!! − 4 − 5!	643 := (1 + 2) ³ × 4! − 5
574 := −1 × 2 + 3!! − 4! − 5!	609 := (1 + 2) ^{3!} − 4! × 5	644 := (1 + 2)!! − 3 ⁴ + 5
575 := −1 + (−2 + 3!)! × 4!	610 := (1 + 2)!! + 3! + 4 − 5!	645 := (1 + 2 ³⁺⁴) × 5
576 := (1 + 23) ^{√4}	611 := 1 + (2 + (3 + √4)!) × 5	646 := 12 − 3 ⁴ − 5 + 6!
577 := 1 + (−2 + 3!)! × 4!	612 := 12 × (3! + 45)	647 := −1 × 2 ^{3!} − 4 − 5 + 6!
578 := 1 × 2 + 3! × (−4! + 5!)	613 := (1 + 2) ^{3!} + 4 − 5!	648 := (1 + 2) ³ × 4!
579 := −1 + (2 + 3) × (−4 + 5!)	614 := 12 + 3!! + √4 − 5!	649 := 1 × 23 ^{√4} + 5!
580 := (1 − 2 × 3) × (4 − 5!)	615 := (−1 + (2 + 3)! + 4) × 5	650 := (1 + 2 ^{3!}) × √4 × 5
581 := 1 + (2 + 3) × (−4 + 5!)	616 := 12 + 3!! + 4 − 5!	651 := −1 − 23 − 45 + 6!
582 := (1 + 2)! + 3!! − 4! − 5!	617 := −1 − 2 × 3 + 4! − 5! + 6!	652 := −1 × 23 − 45 + 6!
583 := 1 + (2 × 3)! × 4/5 + 6	618 := (1 + 2)!! − 3! + 4! − 5!	653 := (1 + 2) ³ × 4! + 5
584 := −12 + 3!! − 4 − 5!	619 := −1 + (2 + 3) ⁴ − 5	654 := (1 × 2 ^{3!} + 45) × 6
585 := (1 + 2 × 3!) × 45	620 := 1 × (2 + 3) ⁴ − 5	655 := −1 − 2 ^{3!} + (−√4 + 5)!!
586 := −12 + 3!! − √4 − 5!	621 := 1 + (2 + 3) ⁴ − 5	656 := −1 × 2 ^{3!} + (√4 + 5)!!

656 := 1 + (2 + 3) ⁴ + 5 × 6	691 := 1 + 2 × 345	726 := (1 + 2)!! + 3!
657 := 1 − 2 ^{3!} + (√4 + 5)!!	692 := −1 + 2 + 3!! − 4! − 5	727 := (1 + 2) ^{3!} − √4
658 := 1 − 2 × 34 + 5 + 6!	693 := (1 + 2)!! − 3 − 4!	728 := 12 + 3!! − 4
659 := −1 + (2 × 3)! − 4 − 56	694 := −1 × 2 + 3!! − 4!	729 := (1 + 2) ^{3!}
660 := (−12 + 3! × 4!) × 5	695 := 1 − 2 + 3!! − 4!	730 := 12 + 3!! − √4
661 := 1 − 2 ^{3!} + 4 + 5! × 6	696 := (√12 × 3)! − 4!	731 := (1 + 2) ^{3!} + √4
662 := (1 + 2) × (3 − 4!) + 5 + 6!	697 := 1 + (2 × 3)! − 4!	732 := 12 + 3!!
663 := −12 + 3!! − 45	698 := 1 × 2 + 3!! − 4!	733 := (1 + 2) ^{3!} + 4
664 := −(1 + 2) ³ − 4! − 5 + 6!	699 := 1 + 2 + 3!! − 4!	734 := 12 + 3!! + √4
665 := −1 − 2 + 3!! + 4 − 56	700 := 1 × (2 × 3)! − 4 × 5	735 := (1 + 2) ^{3!} + (−4 + 5) × 6
666 := −1 + 23 × (4! + 5)	701 := 1 + (2 × 3)! − 4 × 5	736 := 12 + 3!! + 4
667 := 1 × 23 × (4! + 5)	702 := (1 + 2)!! + 3! − 4!	737 := (1 + 2)!! − 3 + 4 × 5
668 := 1 + 23 × (4! + 5)	703 := 12 + 3!! − 4! − 5	738 := (1 + 2)!! − 3! + 4!
669 := (1 + 2)!! − 3! − 45	704 := −12 + 3!! − 4	739 := 1 − 2 + 3!! + 4 × 5
670 := (1 + 2)!! − (3! + 4) × 5	705 := (1 + 2) ^{3!} − 4!	740 := 1 × (2 × 3)! + 4 × 5
671 := −1 + 23 × 4! + 5!	706 := −12 + 3!! − √4	741 := (1 + 2)!! − 3 + 4!
672 := 1 × 23 × 4! + 5!	707 := 1 × 2 + 3!! − 4 − 5 − 6	742 := −1 × 2 + 3!! + 4!
673 := 1 + 23 × 4! + 5!	708 := −12 + 3!!	743 := −1 + (2 × 3)! + 4!
674 := −1 + (2 × 3)! − 45	709 := −12 + 3!! − 4 + 5	744 := (√12 × 3)! + 4!
675 := (12 + 3) × 45	710 := −12 + 3!! + √4	745 := 1 + (2 × 3)! + 4!
676 := 1 + (2 × 3)! − 45	711 := (1 + 2)!! − √3 ⁴	746 := 1 × 2 + 3!! + 4!
677 := 1 × 2 + 3!! − 45	712 := −12 + 3!! + 4	747 := (1 + 2)!! + 3 + 4!
678 := 1 + 2 + 3!! − 45	713 := (1 + 2)!! − 3 − 4	748 := 1 − 2 + 3!! + 4! + 5
679 := −12 + 3!! − 4! − 5	714 := (1 + 2)!! − 3!	749 := 1 × (2 × 3)! + 4! + 5
680 := (1 + 2)!! − (3! + √4) × 5	715 := −1 + (2 × 3)! − 4	750 := (1 + 2)! + 3!! + 4!
681 := (1 + 2)!! − 34 − 5	716 := (√12 × 3)! − 4	751 := 1 × 2 + 3!! + 4! + 5
682 := −(1 + 2)! + 3!! − √4 ⁵	717 := (1 + 2)!! − 3	752 := 1 + 2 + 3!! + 4! + 5
683 := 1 × 2 − 34 − 5 + 6!	718 := −1 × 2 + 3!!	753 := (1 + 2) ^{3!} + 4!
684 := −12 + 3!! − 4!	719 := −1 + (2 × 3)!	754 := (1 + 2)!! + 34
685 := (1 + 2)!! − 3! − 4! − 5	720 := (1 + 2)!!	755 := (1 + 2)! + 3!! + 4! + 5
686 := (1 + 2)!! − 34	721 := 1 + (2 × 3)!	756 := 12 + 3!! + 4!
687 := 12 + 3!! − 45	722 := 1 × 2 + 3!!	757 := 12 × 3 − 4 + 5 + 6!
688 := (1 + 2)!! − 3 − 4! − 5	723 := (1 + 2)!! + 3	758 := (1 + 2) ^{3!} + 4! + 5
689 := −1 + 2 × 345	724 := (√12 × 3)! + 4	759 := (1 + 2)!! + 34 + 5
690 := (1 + 2)!! − 3! − 4!	725 := (1 + 2) ^{3!} − 4	760 := (1 + 2)!! + (3! + √4) × 5

761 := 12 + 3!! + 4! + 5	796 := (1 + 2)!! + 3 ⁴ – 5	831 := (1 + 2)!! – √3 ⁴ + 5!
762 := –1 – 2 + 3!! + 45	797 := (1 + 2)!! + 3 × 4! + 5	832 := –12 + 3!! + 4 + 5!
763 := –1 × 2 + 3!! + 45	798 := 123 – 45 + 6!	833 := (1 + 2)!! – 3 – 4 + 5!
764 := –1 + (2 × 3)! + 45	799 := 1 + (–2 + 3 × 45) × 6	834 := (1 + 2)!! – 3! + 4! × 5
765 := (1 + 2 + 3)! + 45	800 := (1 + 2)!! + 3!!/(4 + 5)	835 := –1 + (2 × 3)! – 4 + 5!
766 := –1 + 2 + 3!! + 45	801 := (1 + 2)!! + 3 ⁴	836 := 1 × (2 × 3)! – 4 + 5!
767 := 1 × 2 + 3!! + 45	802 := 1 × 2 + 3!! + 4 × 5!/6	837 := 1 + (2 × 3)! – 4 + 5!
768 := 1 + 2 + 3!! + 45	803 := –1 – 2 – 34 + 5! + 6!	838 := –1 × 2 + (3 + 4) × 5!
769 := 1 + 2 ³ × (–4! + 5!)	804 := 12 × (3 × 4! – 5)	839 := 1 – 2 + 3!! + 4! × 5
770 := (1 + 2)!! + (3! + 4) × 5	805 := (–1 + 2 × 3 ⁴) × 5	840 := (1 + 2)!! + (3 + √4)!
771 := (1 + 2)! + 3!! + 45	806 := (1 + 2)!! – 34 + 5!	841 := 1 ² + (3 + 4) × 5!
772 := –1 + 2 ³ + 45 + 6!	807 := (1 + 2)!! + 3 × (4! + 5)	842 := 1 × 2 + (3 + 4) × 5!
773 := 1 + (2 × 3)! – 4 + 56	808 := 1 + 23 × 4 – 5 + 6!	843 := 1 + 2 + (3 + 4) × 5!
774 := (1 + 2)!! + 3! × (4 + 5)	809 := –1 + 2 × 3 ⁴ × 5	844 := (1 + 2 + 3)! + 4 + 5!
775 := 1 + (2 × 3)! + (4 + 5) × 6	810 := (12 + 3!) × 45	845 := (1 + 2) ^{3!} – 4 + 5!
776 := 1 + 2 ^{3!} – 4 – 5 + 6!	811 := 1 + 2 × 3 ⁴ × 5	846 := (1 + 2)! + (3 + 4) × 5!
777 := 12 + 3!! + 45	812 := (1 – 2 ³) × (4 – 5!)	847 := (1 + 2)!! + 3 + 4 + 5!
778 := –1 × 2 + 3!! + 4 + 56	813 := –1 – 2 + 3!! – 4! + 5!	848 := 12 + 3!! – 4 + 5!
779 := –1 + (2 × 3)! + 4 + 56	814 := –1 × 2 + 3!! – 4! + 5!	849 := (1 + 2) ^{3!} + 4! × 5
780 := (12 + 3! × 4!) × 5	815 := (1 + 2 × 3 ⁴) × 5	850 := (1 + 2)! + 3!! + 4 + 5!
781 := 1 ² + 3!! + 4 + 56	816 := 1 × (2 × 3)! – 4! + 5!	851 := (1 + 2) ^{3!} + √4 + 5!
782 := 1 × 2 + (3! + 4 + 5!) × 6	817 := 1 + (2 × 3)! – 4! + 5!	852 := 12 × 3 ⁴ – 5!
783 := (1 + 2) ³ × (4! + 5)	818 := 1 × 2 + 3!! – 4! + 5!	853 := (1 + 2) ^{3!} + 4 + 5!
784 := 1 × 2 ^{3!} + (√4 + 5)!!	819 := (1 + 2)!! + 3 – 4! + 5!	854 := (–1 + 2 + 3!) × (√4 + 5!)
785 := 1 + 2 ^{3!} + (–√4 + 5)!!	820 := –1 – 23 + 4 + 5! + 6!	855 := (1 + 2)!! + (3 + 4!) × 5
786 := 12 + 3!! + 4! + 5 × 6	821 := –1 × 23 + 4 + 5! + 6!	856 := 12 + 3!! + 4 + 5!
787 := (1 + 2)!! + 3 × 4! – 5	822 := (1 + 2)! + 3!! – 4! + 5!	857 := 1 × 2 + 3 × 45 + 6!
788 := 1 × 23 + 45 + 6!	823 := 123 – 4 × 5 + 6!	858 := (1 + 2)!! – 3! + 4! + 5!
789 := 1 + 23 + 45 + 6!	824 := –12 + 3!! – 4 + 5!	859 := 12 × 3 × 4! – 5
790 := –1 × 2 + 3 × 4! × (5 + 6)	825 := (1 + 2) ^{3!} – 4! + 5!	860 := 1 × 2 + 3!! + 4! + 5! – 6
791 := 1 + 2 × (3 + 4) × 5 + 6!	826 := –12 + 3!! – √4 + 5!	861 := 123 × (√4 + 5)
792 := (1 + 2)!! + 3 × 4!	827 := –12 + 3 – 4 + 5! + 6!	862 := –1 × 2 + 3!! + 4! + 5!
793 := 1 × 2 × 34 + 5 + 6!	828 := (1 + 2)!! – 3 × 4 + 5!	863 := –1 + 2 × 3 × (4! + 5!)
794 := –12 + 3 ⁴ + 5 + 6!	829 := –1 + (2 × 3)! – 4 + 5! – 6	864 := 12 × 3 × 4!
795 := 1 + 2 + 3 × 4! + 5! × 6	830 := (1 + 2)!! – 3! – 4 + 5!	865 := 1 + 2 × 3 × (4! + 5!)

866 := $1 \times 2 + 3!! + 4! + 5!$	901 := $1 + (2 \times 3)!/4 \times 5$	936 := $(1 + 2)!! + 3!^{\sqrt{4+5}}$
867 := $(1 + 2)!! + 3 + 4! + 5!$	902 := $1 \times 2 + 3!!/4 \times 5$	937 := $(1 + 2)!^3 - 4 + 5 + 6!$
868 := $(-1 + 2^3) \times (4 + 5!)$	903 := $1 + 2 + 3!!/4 \times 5$	938 := $-(1 + 2)! + 3!! + 4 \times 56$
869 := $(12 \times 3) \times 4! + 5$	904 := $-1 + (2 \times 3)!/4 + 5 + 6!$	939 := $123 - 4! + 5! + 6!$
870 := $(1 + 2)! + 3! \times (4! + 5!)$	905 := $(-1 + 2 + 3!!/4) \times 5$	940 := $(1 + (-2 + 3!))! \times 4 + 5! + 6!$
871 := $-1 - 2 + 34 + 5! + 6!$	906 := $(1 + 2)! + 3!!/4 \times 5$	941 := $-1 - 2 + 3!! + 4 \times 56$
872 := $123 + 4! + 5 + 6!$	907 := $-123 + 4^5 + 6$	942 := $(1 + 2) \times 34 + 5! + 6!$
873 := $(1 + 2)^{3!} + 4! + 5!$	908 := $1 \times 2^{3!} + 4 + 5! + 6!$	943 := $-1 + (2 + 3!) \times (-\sqrt{4} + 5!)$
874 := $(1 + 2)!! + 34 + 5!$	909 := $-1 + (2 + 3!!/4) \times 5$	944 := $1 \times 2^3 \times (-\sqrt{4} + 5!)$
875 := $12 \times 3 \times 4! + 5 + 6$	910 := $(1 \times 2 + 3!!/4) \times 5$	945 := $1 + (2 + 3!) \times (-\sqrt{4} + 5!)$
876 := $12 + 3!! + 4! + 5!$	911 := $1 + (2 + 3!!/4) \times 5$	946 := $-1 \times 2 \times (3 + 4 - 5!) + 6!$
877 := $1 + 2 + 34 + 5! + 6!$	912 := $12 \times (3^4 - 5)$	947 := $-1 + 2 \times (-3! + 4 \times 5!)$
878 := $-12 + 34 \times 5 + 6!$	913 := $1 \times (2 + 3^4) \times (5 + 6)$	948 := $-1 \times 2 \times (3! - 4 \times 5!)$
879 := $-12 + 3^4 \times (5 + 6)$	914 := $1 \times 2 + 3 \times 4! + 5! + 6!$	949 := $1 + 2 \times (-3! + 4 \times 5!)$
880 := $(1 - 2 + 3^4) \times (5 + 6)$	915 := $(1 + 2 + 3!!/4) \times 5$	950 := $1 + 234 - 5 + 6!$
881 := $1 + (-2 + 34) \times 5 + 6!$	916 := $12 \times 3! + 4 + 5! + 6!$	951 := $-1 + 2 \times (3!! - 4 + 5!) - 6!$
882 := $(1 + 2)! \times (3 + 4! + 5!)$	917 := $-1 + 2 \times (3 + 456)$	952 := $(-1 - 2 \times 3 + 4!) \times 56$
883 := $-12 + 3!!/4 - 5 + 6!$	918 := $1 \times 2 \times (3 + 456)$	953 := $-1 + 2 \times (-3 + 4 \times 5!)$
884 := $12 \times 3 \times 4! + 5!/6$	919 := $(1 + 2)! \times 34 - 5 + 6!$	954 := $1 \times 2 \times (-3 + 4 \times 5!)$
885 := $(-12 + 3!!)/4 \times 5$	920 := $(-1 + 23 + 4!) \times 5!/6$	955 := $1 + 2 \times (-3 + 4 \times 5!)$
886 := $-1 + 23 + 4! + 5! + 6!$	921 := $(1 + 2)!! + 3^4 + 5!$	956 := $(1 + 2)!! + 3!!/4 + 56$
887 := $-1 - 2 + 34 \times 5 + 6!$	922 := $-1 + 2 + 3^4 + 5! + 6!$	957 := $-1 - 2 + 3!! + \sqrt{4} \times 5!$
888 := $-12 + 3!!/4 \times 5$	923 := $1 \times 2 + 3^4 + 5! + 6!$	958 := $-1 \times 2 + 3!! + \sqrt{4} \times 5!$
889 := $-1 + (-2 + 3!!/4) \times 5$	924 := $(1 + 2)! \times (34 + 5!)$	959 := $-1 + 2^3 \times 4! \times 5$
890 := $(-1 \times 2 + 3!!/4) \times 5$	925 := $1 + 2 \times (3! - 4! + 5!) + 6!$	960 := $(1 + 2)!!/3 \times 4$
891 := $1 + (-2 + 3!!/4) \times 5$	926 := $-1 + 23 \times (4 + 5) + 6!$	961 := $1 + 2^3 \times 4! \times 5$
892 := $1 \times 2 \times (3^4 + 5) + 6!$	927 := $-1 + 2^3 \times (-4 + 5!)$	962 := $1 \times 2 + (3! + \sqrt{4}) \times 5!$
893 := $1 - 2 + 3!! + (4! + 5) \times 6$	928 := $1 \times 2^3 \times (-4 + 5!)$	963 := $1 + 2 + (3! + \sqrt{4}) \times 5!$
894 := $(1 + 2)!! + 3! \times (4! + 5)$	929 := $1 + 2^3 \times (-4 + 5!)$	964 := $1 \times 2 \times (3! - 4 + 5!) + 6!$
895 := $(1 - 2 + 3!!/4) \times 5$	930 := $((1 + 2)! + 3!!/4) \times 5$	965 := $-1 + 2 \times (3 + 4 \times 5!)$
896 := $12/3 \times 4 \times 56$	931 := $(12 - 3) \times 4! - 5 + 6!$	966 := $1 \times 2 \times (3 + 4 \times 5!)$
897 := $-1 - 2 + 3!!/4 \times 5$	932 := $1 \times 23 \times 4 + 5! + 6!$	967 := $12 \times 3^4 - 5$
898 := $-1 \times 2 + 3!!/4 \times 5$	933 := $1 + 23 \times 4 + 5! + 6!$	968 := $(-1 + 23) \times 4 \times (5 + 6)$
899 := $-1 + (2 \times 3)!/4 \times 5$	934 := $1 \times (2 + 3!) \times (-4 + 5!) + 6$	969 := $(1 + 2)^{3!} + \sqrt{4} \times 5!$
900 := $(1 + 2)!! + 3!!/4$	935 := $(1 + 2 \times (-3 + 4!)) \times 5 + 6!$	970 := $-1 + 2^{3!} \times 4 - 5 + 6!$

971 := $-1 + 2 \times (3! + 4 \times 5!)$	982 := $-1 \times 2 + 3!! + 4! \times (5 + 6)$	993 := $1 + 2^3 \times (4 + 5!)$
972 := 12×3^4	983 := $-1 + (2 \times 3 \times 4! + 5!) + 6!$	994 := $-12 \times 3 + 4^5 + 6$
973 := $1 + 2 \times (3! + 4 \times 5!)$	984 := $12 \times 3 \times 4! + 5!$	995 := $-1 \times 23 + 4^5 - 6$
974 := $1 \times 2 \times (3 + 4 + 5!) + 6!$	985 := $-1 + 2 + 3! \times 4! + 5! + 6!$	996 := $(12 + 34 + 5!) \times 6$
975 := $-1 + 2^3 \times (\sqrt{4} + 5!)$	986 := $1 \times 2 + 3!! + 4! \times (5 + 6)$	997 := $1 + 2 \times (-3! + 4! + 5!) + 6!$
976 := $\sqrt{1 \times 2^{3!}} \times (\sqrt{4} + 5!)$	987 := $(1 + 2)!! - 3 + 45 \times 6$	998 := $(1 \times 2 + 3!) \times (4 + 5!) + 6$
977 := $12 \times 3^4 + 5$	988 := $-1 \times 2 + 3! \times 45 + 6!$	999 := $12^3 - 4 - 5 - 6!$
978 := $12 \times 3 \times 4! + 5! - 6$	989 := $12^3 - 4! + 5 - 6!$	1000 := $-1 \times 2 + (3 + 4)!/5 - 6$
979 := $(-1 + 2 \times 3!) \times 4! - 5 + 6!$	990 := $(-1 + 23) \times 45$	
980 := $(1 + 2 \times 3!) \times 4 \times 5 + 6!$	991 := $-1 + 2^3 \times (4 + 5!)$	
981 := $-1 - 2 + 3! \times 4! + 5! + 6!$	992 := $1 \times 2^3 \times (4 + 5!)$	

12.2 Crazy Representations: Decreasing Order Ending in 1

1 := 1	23 := $(3! - 2)! - 1$	45 := $43 + 2 \times 1$
2 := 2×1	24 := $3 + 21$	46 := $43 + 2 + 1$
3 := $2 + 1$	25 := $(3! - 2)! + 1$	47 := $4 \times 3! \times 2 - 1$
4 := $3 + 2 - 1$	26 := $\sqrt{4} + 3 + 21$	48 := $(4 + 3)^2 - 1$
5 := $3 \times 2 - 1$	27 := $3! + 21$	49 := $(4 + 3)^2 \times 1$
6 := $(2 + 1)!$	28 := $4 + 3 + 21$	50 := $(4 + 3)^2 + 1$
7 := $3 \times 2 + 1$	29 := $\sqrt{4^3} + 21$	51 := $4! \times 3 - 21$
8 := $3^2 - 1$	30 := $-\sqrt{4} + 32 \times 1$	52 := $4 \times (3! \times 2 + 1)$
9 := $3^2 \times 1$	31 := $32 - 1$	53 := $(4! + 3) \times 2 - 1$
10 := $3^2 + 1$	32 := 32×1	54 := $\sqrt{4} \times (3! + 21)$
11 := $3! \times 2 - 1$	33 := $32 + 1$	55 := $4! + 32 - 1$
12 := $3! \times 2 \times 1$	34 := $\sqrt{4} + 32 \times 1$	56 := $4! + 32 \times 1$
13 := $3! \times 2 + 1$	35 := $3!^2 - 1$	57 := $4! + 32 + 1$
14 := $(4 + 3) \times 2 \times 1$	36 := $3!^2 \times 1$	58 := $4^3 - (2 + 1)!$
15 := $-3! + 21$	37 := $3!^2 + 1$	59 := $-4 + 3 \times 21$
16 := $4 \times (3 + 2 - 1)$	38 := $\sqrt{4} + 3!^2 \times 1$	60 := $4 \times (-3! + 21)$
17 := $(\sqrt{4} - 3!) + 21$	39 := $4 + 3!^2 - 1$	61 := $4^3 - 2 - 1$
18 := $-3 + 21$	40 := $43 - 2 - 1$	62 := $4^3 - 2 \times 1$
19 := $4 - 3! + 21$	41 := $43 - 2 \times 1$	63 := 3×21
20 := $4 \times (3 \times 2 - 1)$	42 := $43 - 2 + 1$	64 := $43 + 21$
21 := 21	43 := $4^3 - 21$	65 := $4^3 + 2 - 1$
22 := $43 - 21$	44 := $43 + 2 - 1$	66 := $4^3 + 2 \times 1$

$67 := 4 + 3 \times 21$
 $68 := 5 + 4^3 - 2 + 1$
 $69 := 4! \times 3 - 2 - 1$
 $70 := 4! \times 3 - 2 \times 1$
 $71 := 4! \times 3 - 2 + 1$
 $72 := 4 \times (-3 + 21)$
 $73 := 4! \times 3 + 2 - 1$
 $74 := 4! \times 3 + 2 \times 1$
 $75 := 4! \times 3 + 2 + 1$
 $76 := (-5 + 43) \times 2 \times 1$
 $77 := 5 - 4 \times (3 - 21)$
 $78 := 4! \times 3 + (2 + 1)!$
 $79 := 5 + 4! \times 3 + 2 \times 1$
 $80 := 5 \times 4 \times (3 + 2 - 1)$
 $81 := (4! + 3) \times (2 + 1)$
 $82 := -5 + 43 \times 2 + 1$
 $83 := 5 \times 4 + 3 \times 21$
 $84 := 4!/3! \times 21$
 $85 := 43 \times 2 - 1$
 $86 := 43 \times 2 \times 1$
 $87 := 43 \times 2 + 1$
 $88 := 5^{\sqrt{4}} + 3 \times 21$
 $89 := 54 + 3!^2 - 1$
 $90 := (4! + 3!) \times (2 + 1)$
 $91 := 5 + 43 \times 2 \times 1$
 $92 := 4 \times ((3! - 2)! - 1)$
 $93 := 4! \times 3 + 21$
 $94 := 5 \times (4! - 3 - 2) - 1$
 $95 := 4 \times (3! - 2)! - 1$
 $96 := 4 \times (3 + 21)$
 $97 := 4 \times (3! - 2)! + 1$
 $98 := 5 + 4! \times 3 + 21$
 $99 := 5 \times 4 \times (3 + 2) - 1$
 $100 := (4 + 3!)^2 \times 1$
 $101 := (4 + 3!)^2 + 1$

$102 := -4! + 3! \times 21$
 $103 := (54 - 3) \times 2 + 1$
 $104 := 5! + \sqrt{4} + 3 - 21$
 $105 := (\sqrt{4} + 3) \times 21$
 $106 := 5! + 4 + 3 - 21$
 $107 := 5! + 4!/3 - 21$
 $108 := 4 \times (3! + 21)$
 $109 := 5! + 4 + 3! - 21$
 $110 := 5 \times (43 - 21)$
 $111 := 5! - 4 - 3 - 2 \times 1$
 $112 := 5! - 4 - 3 - 2 + 1$
 $113 := (54 + 3) \times 2 - 1$
 $114 := (\sqrt{4} + 3)! - (2 + 1)!$
 $115 := -4 + (3 + 2)! - 1$
 $116 := -4 + (3 + 2)! \times 1$
 $117 := (\sqrt{4} + 3)! - 2 - 1$
 $118 := (\sqrt{4} + 3)! - 2 \times 1$
 $119 := (3 + 2)! - 1$
 $120 := (3 \times 2 - 1)!$
 $121 := (3 + 2)! + 1$
 $122 := -4 + 3! \times 21$
 $123 := 4! \times 3! - 21$
 $124 := 4 \times (32 - 1)$
 $125 := (\sqrt{4} + 3)^{2+1}$
 $126 := 3! \times 21$
 $127 := 4 \times 32 - 1$
 $128 := 4 \times 32 \times 1$
 $129 := 43 \times (2 + 1)$
 $130 := 4 + 3! \times 21$
 $131 := 5 + \sqrt{4} \times 3 \times 21$
 $132 := 4 \times (32 + 1)$
 $133 := 5 + 4 \times 32 \times 1$
 $134 := 5 + 4 \times 32 + 1$
 $135 := 5 + 4 + 3! \times 21$
 $136 := 5! - \sqrt{4} - 3 + 21$

$137 := 5 + 4 \times (32 + 1)$
 $138 := 4! \times 3! - (2 + 1)!$
 $139 := 5 \times (-4 + 32) - 1$
 $140 := 4 \times (3!^2 - 1)$
 $141 := (\sqrt{4} + 3)! + 21$
 $142 := 4! \times 3! - 2 \times 1$
 $143 := (4 \times 3)^2 - 1$
 $144 := (4 \times 3)^2 \times 1$
 $145 := (4 \times 3)^2 + 1$
 $146 := 4! \times 3! + 2 \times 1$
 $147 := (4 + 3) \times 21$
 $148 := 4 \times (3!^2 + 1)$
 $149 := 5 + (4 \times 3)^2 \times 1$
 $150 := 4! + 3! \times 21$
 $151 := 5 \times 4! + 32 - 1$
 $152 := 5 + (4 + 3) \times 21$
 $153 := (54 - 3) \times (2 + 1)$
 $154 := (5! - 43) \times 2 \times 1$
 $155 := 5 \times (4 + 3^{2+1})$
 $156 := 5! + 4 + 32 \times 1$
 $157 := 5! + 4 + 32 + 1$
 $158 := (5! \times 4 - 3!)/(2 + 1)$
 $159 := 54 \times 3 - 2 - 1$
 $160 := 54 \times 3 - 2 \times 1$
 $161 := 54 \times 3 - 2 + 1$
 $162 := (4! + 3) \times (2 + 1)!$
 $163 := 54 \times 3 + 2 - 1$
 $164 := 54 \times 3 + 2 \times 1$
 $165 := 4! \times 3! + 21$
 $166 := 5! + 43 + 2 + 1$
 $167 := 5! + 4 \times 3! \times 2 - 1$
 $168 := \sqrt{4^3} \times 21$
 $169 := 5 \times (\sqrt{4} + 32) - 1$
 $170 := 5 \times (\sqrt{4} + 32 \times 1)$
 $171 := (54 + 3) \times (2 + 1)$

172 := $5! + 4 \times (3! \times 2 + 1)$	207 := $5! + 43 \times 2 + 1$	242 := $\sqrt{4} \times ((3 + 2)! + 1)$
173 := $54 + (3 + 2)! - 1$	208 := $5! \times \sqrt{4} - 32 \times 1$	243 := $(5! + 4 - 3) \times 2 + 1$
174 := $54 + (3 + 2)! \times 1$	209 := $5 \times 43 - (2 + 1)!$	244 := $4 + 3!!/(2 + 1)$
175 := $5 \times (4 + 32 - 1)$	210 := $(4 + 3!) \times 21$	245 := $5! \times \sqrt{4} + 3 \times 2 - 1$
176 := $5! + 4! + 32 \times 1$	211 := $-5 + 4! \times 3 \times (2 + 1)$	246 := $5 \times 4! + 3! \times 21$
177 := $(-5 + 4^3) \times (2 + 1)$	212 := $-4 + 3!^{2+1}$	247 := $-5 + 4 \times 3 \times 21$
178 := $(5! - \sqrt{4}) \times 3/2 + 1$	213 := $5 \times 43 - 2 \times 1$	248 := $(4! + 3!!)/(2 + 1)$
179 := $5 \times (4 + 32) - 1$	214 := $-\sqrt{4} + 3!^{2+1}$	249 := $5! + 43 \times (2 + 1)$
180 := $(4! + 3!) \times (2 + 1)!$	215 := $4! \times 3^2 - 1$	250 := $5 \times ((4 + 3)^2 + 1)$
181 := $543/(2 + 1)$	216 := $3!^{2+1}$	251 := $-5 + 4^{3+2-1}$
182 := $5! + 4^3 - 2 \times 1$	217 := $4! \times 3^2 + 1$	252 := $4 \times 3 \times 21$
183 := $54 \times 3 + 21$	218 := $\sqrt{4} + 3!^{2+1}$	253 := $-5 + 43 \times (2 + 1)!$
184 := $5! + 43 + 21$	219 := $5! \times (-4 + 3!) - 21$	254 := $(5! + 4 + 3) \times 2 \times 1$
185 := $5 \times (4 + 32 + 1)$	220 := $4 + 3!^{2+1}$	255 := $4^{3!-2} - 1$
186 := $(\sqrt{5 + 4})! \times (32 - 1)$	221 := $5 \times 43 + (2 + 1)!$	256 := 4^{3+2-1}
187 := $5! + 4 + 3 \times 21$	222 := $5! \times \sqrt{4} + 3 - 21$	257 := $4^{3!-2} + 1$
188 := $-5 + 4! \times (3! + 2) + 1$	223 := $(5 + \sqrt{4}) \times 32 - 1$	258 := $43 \times (2 + 1)!$
189 := $54/3! \times 21$	224 := $5 \times (43 + 2) - 1$	259 := $(5! + 4 + 3!) \times 2 - 1$
190 := $5! + 4! \times 3 - 2 \times 1$	225 := $5 \times (43 + 2) \times 1$	260 := $5 \times 4 \times (3! \times 2 + 1)$
191 := $4! \times (3! + 2) - 1$	226 := $5 \times (43 + 2) + 1$	261 := $(5 + 4!) \times 3 \times (2 + 1)$
192 := $4^3 \times (2 + 1)$	227 := $(5! - \sqrt{4} \times 3) \times 2 - 1$	262 := $(5 + 4!) \times 3^2 + 1$
193 := $4! \times (3! + 2) + 1$	228 := $(-5 + 43) \times (2 + 1)!$	263 := $5! + 4! + (3 + 2)! - 1$
194 := $5 \times 43 - 21$	229 := $(5! - \sqrt{4} \times 3) \times 2 + 1$	264 := $4! \times (3! \times 2 - 1)$
195 := $5! + 4! \times 3 + 2 + 1$	230 := $5 \times (43 + 2 + 1)$	265 := $5! + (4 \times 3)^2 + 1$
196 := $-5 \times 4 + 3!^{2+1}$	231 := $(5! - 43) \times (2 + 1)$	266 := $5^4 - 3!!/2 + 1$
197 := $-5! - 4 + 321$	232 := $(-4! + 3!!)/(2 + 1)$	267 := $-54 + 321$
198 := $(\sqrt{5 + 4})! \times (32 + 1)$	233 := $5! \times \sqrt{4} - 3 \times 2 - 1$	268 := $5! + 4 \times (3!^2 + 1)$
199 := $-5! - \sqrt{4} + 321$	234 := $5! \times \sqrt{4} - 3 \times 2 \times 1$	269 := $54 \times (3 + 2) - 1$
200 := $5 \times (43 - 2 - 1)$	235 := $5! \times \sqrt{4} - 3 \times 2 + 1$	270 := $54 \times (3 + 2 \times 1)$
201 := $-5 \times 4! + 321$	236 := $-4 + 3!!/(2 + 1)$	271 := $54 \times (3 + 2) + 1$
202 := $-6 + 5! \times \sqrt{4} - 32 \times 1$	237 := $(5! - 4 + 3) \times 2 - 1$	272 := $(5! - 4! + 3!!)/(2 + 1)$
203 := $-5! + \sqrt{4} + 321$	238 := $\sqrt{4} \times ((3 + 2)! - 1)$	273 := $5! \times \sqrt{4} + (32 + 1)$
204 := $5 \times (43 - 2) - 1$	239 := $\sqrt{4} \times (3 + 2)! - 1$	274 := $6! - 5 - (4! - 3)^2 \times 1$
205 := $5 \times (43 - 2) \times 1$	240 := $3!!/(2 + 1)$	275 := $5 \times (4! + 32 - 1)$
206 := $5 \times (43 - 2) + 1$	241 := $\sqrt{4} \times (3 + 2)! + 1$	276 := $5! \times \sqrt{4} + 3!^2 \times 1$

$277 := (-5 + 4! \times 3!) \times 2 - 1$
 $278 := (-5 + 4! \times 3!) \times 2 \times 1$
 $279 := (5 + 4) \times (32 - 1)$
 $280 := 5 \times (4! + 32) \times 1$
 $281 := 5 \times (4! + 32) + 1$
 $282 := 5! + (4! + 3) \times (2 + 1)!$
 $283 := -5 + 4! \times (3! + (2 + 1)!)$
 $284 := -5 + 4! \times 3! \times 2 + 1$
 $285 := 5 \times (4! + 32 + 1)$
 $286 := (5! - 4!) \times 3 - 2 \times 1$
 $287 := 4! \times 3! \times 2 - 1$
 $288 := 4! \times 3! \times 2 \times 1$
 $289 := 4! \times 3! \times 2 + 1$
 $290 := (5 + 4 \times 3)^2 + 1$
 $291 := -5!/4 + 321$
 $292 := -5 - 4! + 321$
 $293 := (5! + 4! + 3) \times 2 - 1$
 $294 := (5! + 4! + 3) \times 2 \times 1$
 $295 := 5 \times (-4 + 3 \times 21)$
 $296 := -\sqrt{5^4} + 321$
 $297 := -4! + 321$
 $298 := (5 + 4! \times 3!) \times 2 \times 1$
 $299 := 5 \times 4^3 - 21$
 $300 := 5 \times (4 + 3!) \times (2 + 1)!$
 $301 := -5 \times 4 + 321$
 $302 := 5 - 4! + 321$
 $303 := 54 \times 3! - 21$
 $304 := 5^4 - 321$
 $305 := 5 \times (4^3 - 2 - 1)$
 $306 := (54 - 3) \times (2 + 1)!$
 $307 := -54 + 3!/2 + 1$
 $308 := (6 + 5) \times 4 \times (3 \times 2 + 1)$
 $309 := 5 \times (4^3 - 2) - 1$
 $310 := 5 \times \sqrt{4} \times (32 - 1)$
 $311 := 5 \times (4^3 - 2) + 1$

$312 := -5 - 4 + 321$
 $313 := -5! + 432 + 1$
 $314 := -5 - \sqrt{4} + 321$
 $315 := (5 + 4 + 3!) \times 21$
 $316 := -\sqrt{\sqrt{5^4}} + 321$
 $317 := -4 + 321$
 $318 := -5 + \sqrt{4} + 321$
 $319 := -\sqrt{4} + 321$
 $320 := 5 \times (43 + 21)$
 $321 := 321$
 $322 := 5 - 4 + 321$
 $323 := \sqrt{4} + 321$
 $324 := (4! - 3!)^2 \times 1$
 $325 := 4 + 321$
 $326 := (5! + 43) \times 2 \times 1$
 $327 := (5! - 4) \times 3 - 21$
 $328 := (5 + \sqrt{4}) + 321$
 $329 := 5 \times (4^3 + 2) - 1$
 $330 := 5 + 4 + 321$
 $331 := 5 \times \sqrt{4} + 321$
 $332 := 5! - 4 + 3!^{2+1}$
 $333 := (5 + 4) \times (3!^2 + 1)$
 $334 := 5! - \sqrt{4} + 3!^{2+1}$
 $335 := -4! + 3!/2 - 1$
 $336 := -4! + 3!/2 \times 1$
 $337 := -4! + 3!/2 + 1$
 $338 := -5 + (4 + 3)^{2+1}$
 $339 := -5 \times 4 + 3!/2 - 1$
 $340 := -5 + 4! + 321$
 $341 := 5 \times 4 + 321$
 $342 := (54 + 3) \times (2 + 1)!$
 $343 := (4 + 3)^{2+1}$
 $344 := (5 + \sqrt{4})^3 + 2 - 1$
 $345 := 4! + 321$
 $346 := \sqrt{5^4} + 321$

$347 := (-4! + 3!)/2 - 1$
 $348 := (-4! + 3!)/2 \times 1$
 $349 := (-4! + 3!)/2 + 1$
 $350 := 5 + 4! + 321$
 $351 := 5!/4 + 321$
 $352 := -5 + (-4 + 3!)/2 - 1$
 $353 := -5 + (-4 + 3!)/2 \times 1$
 $354 := -5 + (-4 + 3!)/2 + 1$
 $355 := -4 + 3!/2 - 1$
 $356 := -4 + 3!/2 \times 1$
 $357 := (-4 + 3!)/2 - 1$
 $358 := (-4 + 3!)/2 \times 1$
 $359 := 3!/2 - 1$
 $360 := 3!/2 \times 1$
 $361 := 3!/2 + 1$
 $362 := (4 + 3!)/2 \times 1$
 $363 := 4 + 3!/2 - 1$
 $364 := 4 + 3!/2 \times 1$
 $365 := 4 + 3!/2 + 1$
 $366 := 5 + \sqrt{4} + 3!/2 - 1$
 $367 := 5 + \sqrt{4} + 3!/2 \times 1$
 $368 := 5 + \sqrt{4} + 3!/2 + 1$
 $369 := (5! - 4) \times 3 + 21$
 $370 := 5 + 4 + 3!/2 + 1$
 $371 := (4! + 3!)/2 - 1$
 $372 := (4! + 3!)/2 \times 1$
 $373 := (4! + 3!)/2 + 1$
 $374 := (5! + 4) \times 3 + 2 \times 1$
 $375 := 54 + 321$
 $376 := 5! + 4^{3!-2} \times 1$
 $377 := 5! + 4^{3!-2} + 1$
 $378 := (4! - 3!) \times 21$
 $379 := -5 + 4! + 3!/2 \times 1$
 $380 := -5 + 4! + 3!/2 + 1$
 $381 := (5! + 4 + 3) \times (2 + 1)$

382 := $65 - 4 + 321$	417 := $5! \times 4 - 3 \times 21$	452 := $(6 + 5) \times 43 - 21$
383 := $4! + 3!!/2 - 1$	418 := $(5! - \sqrt{4} + 3!!)/2 - 1$	453 := $5! \times 4 - 3^{2+1}$
384 := $4^3 \times (2 + 1)!$	419 := $5! \times (4 + 3)/2 - 1$	454 := $-6 \times 5 + 4 \times ((3 + 2)! + 1)$
385 := $4! + 3!!/2 + 1$	420 := $5 \times (-\sqrt{4} + 3!) \times 21$	455 := $-5! + (4 \times 3!)^2 - 1$
386 := $5^{\sqrt{4}} + 3!!/2 + 1$	421 := $5!/\sqrt{4} + 3!!/2 + 1$	456 := $4! \times \sqrt{3!!/2 + 1}$
387 := $(5! + \sqrt{4}) \times 3 + 21$	422 := $(5! + 4 + 3!!)/2 \times 1$	457 := $5! \times 4 - (3! - 2)! + 1$
388 := $5 + 4! + 3!!/2 - 1$	423 := $(5! + 4! - 3) \times (2 + 1)$	458 := $65 \times (4 + 3) + 2 + 1$
389 := $5 + 4! + 3!!/2 \times 1$	424 := $(-6 + 5!) \times 4 - 32 \times 1$	459 := $-5! \times \sqrt{4} + 3!! - 21$
390 := $5 + 4! + 3!!/2 + 1$	425 := $5 \times (43 \times 2 - 1)$	460 := $5 \times 4 \times ((3! - 2)! - 1)$
391 := $(5!/\sqrt{4} + 3!!)/2 + 1$	426 := $-5 + 432 - 1$	461 := $5! \times 4 - \sqrt{3!!/2 + 1}$
392 := $-5! + \sqrt{4^{3 \times (2+1)}}$	427 := $-5 + 432 \times 1$	462 := $5! \times 4 + 3 - 21$
393 := $(5! + 4) \times 3 + 21$	428 := $-5 + 432 + 1$	463 := $5! + (4 + 3)^{2+1}$
394 := $-6 \times 54 + 3!! - 2 \times 1$	429 := $5 \times 43 \times 2 - 1$	464 := $(5! - 4) \times (3 + 2 - 1)$
395 := $6 + 5 + 4^3 \times (2 + 1)!$	430 := $5 \times 43 \times 2 \times 1$	465 := $5! + 4! + 321$
396 := $-54 \times 3! + (2 + 1)!!$	431 := $432 - 1$	466 := $(-6 + 5!) \times 4 + 3^2 + 1$
397 := $6!/(5 \times 4) + 3!!/2 + 1$	432 := 432×1	467 := $5! \times 4 - 3! \times 2 - 1$
398 := $6! - 5 + 4 - 321$	433 := $432 + 1$	468 := $5! \times 4 - 3! \times 2 \times 1$
399 := $(-5 + 4 \times 3!) \times 21$	434 := $(5! + 4!) \times 3 + 2 \times 1$	469 := $5! \times 4 - 3! \times 2 + 1$
400 := $(5 \times 4)^{3-2+1}$	435 := $5 \times (43 \times 2 + 1)$	470 := $5! \times 4 - 3^2 - 1$
401 := $(5 \times 4!/3!)^2 + 1$	436 := $5 + 432 - 1$	471 := $5! \times 4 - 3! - 2 - 1$
402 := $(-5 + 4! \times 3) \times (2 + 1)!$	437 := $5 + 432 \times 1$	472 := $5! \times 4 - 3^2 + 1$
403 := $6 \times 5! + 4 - 321$	438 := $5 + 432 + 1$	473 := $5! \times 4 - 3 \times 2 - 1$
404 := $6! + 5!/4! - 321$	439 := $5! - \sqrt{4} + 321$	474 := $5! \times 4 - 3 - 2 - 1$
405 := $5 \times (4! + 3) \times (2 + 1)$	440 := $(4! - 3)^2 - 1$	475 := $5! \times 4 - 3 - 2 \times 1$
406 := $6! - (5^4 + 3)/2 \times 1$	441 := $(4! - 3) \times 21$	476 := $4 \times ((3 + 2)! - 1)$
407 := $5! + 4! \times 3! \times 2 - 1$	442 := $(4! - 3)^2 + 1$	477 := $5! \times 4 - 3! + 2 + 1$
408 := $5! + 4! \times (3! + (2 + 1)!)$	443 := $5! + \sqrt{4} + 321$	478 := $5! \times 4 - 3 + 2 - 1$
409 := $5! + 4! \times 3! \times 2 + 1$	444 := $5! + (4! - 3!)^2 \times 1$	479 := $4 \times (3 + 2)! - 1$
410 := $65 + 4! + 321$	445 := $5! + 4 + 321$	480 := $4 \times (3 + 2)! \times 1$
411 := $(5! + 4!) \times 3 - 21$	446 := $5 + (4! - 3) \times 21$	481 := $4 \times (3 + 2)! + 1$
412 := $(65 + 4) \times 3! - 2 \times 1$	447 := $5! \times 4 - 32 - 1$	482 := $-5! \times \sqrt{4} + 3!! + 2 \times 1$
413 := $54 + 3!!/2 - 1$	448 := $5! \times 4 - 32 \times 1$	483 := $(5 \times 4 + 3) \times 21$
414 := $54 + 3!!/2 \times 1$	449 := $5! \times 4 - 32 + 1$	484 := $4 \times ((3 + 2)! + 1)$
415 := $54 + 3!!/2 + 1$	450 := $(5! + 4! + 3!) \times (2 + 1)$	485 := $54 \times 3^2 - 1$
416 := $6! - 5^4 + 321$	451 := $-5 + 4! \times \sqrt{3!!/2 + 1}$	486 := $54 \times 3^2 \times 1$

487 := $54 \times 3^2 + 1$	522 := $543 - 21$	557 := $-5! - 43 + (2 + 1)!!$
488 := $5! \times 4 + 3^2 - 1$	523 := $65 \times \sqrt{4^3} + 2 + 1$	558 := $(5! - 4! - 3) \times (2 + 1)!$
489 := $5 + 4 \times ((3 + 2)! + 1)$	524 := $6 \times (5 + 4!) \times 3 + 2 \times 1$	559 := $6 + 5! + 432 + 1$
490 := $5! \times 4 + (3^2 + 1)$	525 := $5 \times (\sqrt{4} + 3) \times 21$	560 := $5! + (4! - 3)^2 - 1$
491 := $5! \times 4 + 3! \times 2 - 1$	526 := $65 \times \sqrt{4^3} + (2 + 1)!$	561 := $5! + (4! - 3) \times 21$
492 := $5! \times 4 + 3! \times 2 \times 1$	527 := $(5! + 4! \times 3!) \times 2 - 1$	562 := $5^4 - 3 \times 21$
493 := $5! \times 4 + 3! \times 2 + 1$	528 := $(5 \times 4 + 3)^2 - 1$	563 := $6! - 5! \times 4/3 + 2 + 1$
494 := $(6 + 5) \times 43 + 21$	529 := $(5 \times 4 + 3)^2 \times 1$	564 := $543 + 21$
495 := $(5! + 4) \times (3! - 2) - 1$	530 := $(5 \times 4 + 3)^2 + 1$	565 := $-6 - 5 + (4 \times 3!)^2 \times 1$
496 := $(5! + 4) \times (3 + 2 - 1)$	531 := $(6! + 5!)/4 + 321$	566 := $6! - 5! - \sqrt{4} - 32 \times 1$
497 := $(5! + 4) \times (3! - 2) + 1$	532 := $6! + 5 - 4! \times (3! + 2) - 1$	567 := $(4! + 3) \times 21$
498 := $5! \times 4 - 3 + 21$	533 := $(65 + 4!) \times 3 \times 2 - 1$	568 := $6! - 5 - (4 + 3) \times 21$
499 := $5^4 - 3! \times 21$	534 := $-6 + 543 - 2 - 1$	569 := $6! - 5 \times 4! - 32 + 1$
500 := $5 \times (4 + 3!)^2 \times 1$	535 := $-6 + 543 - 2 \times 1$	570 := $(-5^4 + 3!!) \times (2 + 1)!$
501 := $5! \times (-\sqrt{4} + 3!) + 21$	536 := $-5! - 4^3 + (2 + 1)!!$	571 := $-5 + 4! \times (3 + 2 - 1)!$
502 := $-65 + (4! + 3) \times 21$	537 := $543 - (2 + 1)!$	572 := $5 + (4! + 3) \times 21$
503 := $5! \times 4 + (3! - 2)! - 1$	538 := $-6 + 543 + 2 - 1$	573 := $-5! - 4! + 3!! - 2 - 1$
504 := $4 \times 3! \times 21$	539 := $5!/\sqrt{4} \times 3^2 - 1$	574 := $-5! - 4! + 3!! - 2 \times 1$
505 := $5^4 - (3 + 2)! \times 1$	540 := $543 - 2 - 1$	575 := $(4 \times 3!)^2 - 1$
506 := $5^4 - (3 + 2)! + 1$	541 := $543 - 2 \times 1$	576 := $4! \times (3 + 21)$
507 := $5! \times 4 + 3^{(2+1)}$	542 := $543 - 2 + 1$	577 := $(4 \times 3!)^2 + 1$
508 := $-5 + \sqrt{4^{3^2}} + 1$	543 := $543 \times (2 - 1)$	578 := $-5! - 4! + 3!! + 2 \times 1$
509 := $5 + 4 \times 3! \times 21$	544 := $543 + 2 - 1$	579 := $5 \times (-4 + (3 + 2)!) - 1$
510 := $5 \times (-4! + 3! \times 21)$	545 := $543 + 2 \times 1$	580 := $(5! - 4) \times (3 \times 2 - 1)$
511 := $\sqrt{4^{3^2}} - 1$	546 := $543 + 2 + 1$	581 := $5 \times (-4 + (3 + 2)!) + 1$
512 := $\sqrt{4^{3^2}} \times 1$	547 := $-5 + 4! \times ((3! - 2)! - 1)$	582 := $(5! - 4!) \times 3! + (2 + 1)!$
513 := $\sqrt{4^{3^2}} + 1$	548 := $6 + 543 - 2 + 1$	583 := $-5! + 4 + 3!! - 21$
514 := $(65 \times 4 - 3) \times 2 \times 1$	549 := $543 + (2 + 1)!$	584 := $6!/5 + (4! - 3)^2 - 1$
515 := $5! \times 4 + 3!^2 - 1$	550 := $6 + 543 + 2 - 1$	585 := $5 \times (-4 + (3 + 2)! + 1)$
516 := $5! \times 4 + 3!^2 \times 1$	551 := $5! + 432 - 1$	586 := $-6 + 5^4 - 32 - 1$
517 := $5! \times 4 + 3!^2 + 1$	552 := $4! \times ((3! - 2)! - 1)$	587 := $6! - 5! - 4 - 3^2 \times 1$
518 := $5 + \sqrt{4^{3^2}} + 1$	553 := $5! + 432 + 1$	588 := $(\sqrt{5^4} + 3) \times 21$
519 := $6 \times (-5!/4) + 3!! - 21$	554 := $6! - 5! - 43 - 2 - 1$	589 := $5^4 - 3!^2 \times 1$
520 := $65 \times \sqrt{43 + 21}$	555 := $(5! - 4!) \times 3! - 21$	590 := $5^4 - 3!^2 + 1$
521 := $6! + 5! + \sqrt{4} - 321$	556 := $-6 + 5^4 - 3 \times 21$	591 := $(5! - \sqrt{4}) \times (3 + 2) + 1$

592 := $5^4 - 32 - 1$	627 := $5^4 + 3 - 2 + 1$	662 := $5^4 + 3!^2 + 1$
593 := $5^4 - 32 \times 1$	628 := $5^4 + 3 \times (2 - 1)$	663 := $-54 + 3!! - 2 - 1$
594 := $5^4 - 32 + 1$	629 := $5^4 + 3 + 2 - 1$	664 := $-54 + 3!! - 2 \times 1$
595 := $-5! - 4 + 3!! - 2 + 1$	630 := $(4! + 3!) \times 21$	665 := $-54 + 3!! - 2 + 1$
596 := $-5! + \sqrt{4} + 3!! - (2 + 1)!$	631 := $5^4 + 3 + 2 + 1$	666 := $-54 + (3 \times 2)! \times 1$
597 := $5 \times (\sqrt{4} + 3)! - 2 - 1$	632 := $5! + \sqrt{4^{3 \times (2+1)}}$	667 := $-54 + (3 \times 2)! + 1$
598 := $5^4 - 3! - 21$	633 := $5^4 + 3! + 2 \times 1$	668 := $-54 + 3!! + 2 \times 1$
599 := $5 \times 4! \times (3 + 2) - 1$	634 := $5^4 + 3^2 \times 1$	669 := $-54 + 3!! + 2 + 1$
600 := $4! \times ((3! - 2)! + 1)$	635 := $5 \times (4 \times 32 - 1)$	670 := $-5 - 4! + 3!! - 21$
601 := $5^4 - 3 - 21$	636 := $5^4 + 3! \times 2 - 1$	671 := $6! - 54 + 3 \times 2 - 1$
602 := $-5! + (\sqrt{4} \times 3)! + 2 \times 1$	637 := $-5 + \sqrt{4} \times 321$	672 := $-5 - 43 + (2 + 1)!!$
603 := $5 \times (\sqrt{4} + 3)! + 2 + 1$	638 := $5^4 + 3! \times 2 + 1$	673 := $6! - 5! + 4! \times 3 + 2 - 1$
604 := $-5! + 4 + (3 \times 2)! \times 1$	639 := $5 \times 4 \times 32 - 1$	674 := $-5^{\sqrt{4}} + 3!! - 21$
605 := $5 \times ((\sqrt{4} + 3)! + 2 - 1)$	640 := $5 \times 4 \times 32 \times 1$	675 := $-4! + 3!! - 21$
606 := $-5! + 4 + 3!! + 2 \times 1$	641 := $5 \times 4 \times 32 + 1$	676 := $(5 + 4! - 3)^2 \times 1$
607 := $5^4 + 3 - 21$	642 := $\sqrt{4} \times 321$	677 := $-43 + (2 + 1)!!$
608 := $-5! + \sqrt{4} + 3!! + (2 + 1)!$	643 := $654 - 3! \times 2 + 1$	678 := $-(5 + \sqrt{4}) \times 3! + (2 + 1)!!$
609 := $5 \times ((\sqrt{4} + 3)! + 2) - 1$	644 := $5^4 + \sqrt{3!!/2 + 1}$	679 := $-5 \times 4 + 3!! - 21$
610 := $5^4 + 3! - 21$	645 := $5 \times 43 \times (2 + 1)$	680 := $5 - 4! + 3!! - 21$
611 := $5 \times ((\sqrt{4} + 3)! + 2) + 1$	646 := $5^{4!/3!} + 21$	681 := $-5!/\sqrt{4} + 3!! + 21$
612 := $-5! + 4 \times 3 + (2 + 1)!!$	647 := $5 + \sqrt{4} \times 321$	682 := $5 - 43 + (2 + 1)!!$
613 := $5^4 - 3! - (2 + 1)!$	648 := $4! \times (3! + 21)$	683 := $(-5 + 4!) \times 3!^2 - 1$
614 := $5^4 - 3! \times 2 + 1$	649 := $5^4 + 3 + 21$	684 := $(-5 + 4!) \times 3!^2 \times 1$
615 := $5^4 - 3^2 - 1$	650 := $5 \times (4 + 3! \times 21)$	685 := $-5 - 4! - 3! + (2 + 1)!!$
616 := $5^4 - 3^2 \times 1$	651 := $-5 - 4^3 + (2 + 1)!!$	686 := $(5 + \sqrt{4})^3 \times 2 \times 1$
617 := $5^4 - 3^2 + 1$	652 := $5^4 + 3! + 21$	687 := $5! + (4! + 3) \times 21$
618 := $5^4 - 3 \times 2 - 1$	653 := $5 - 4! \times 3 + (2 + 1)!!$	688 := $5^4 + 3 \times 21$
619 := $5^4 - 3 - 2 - 1$	654 := $-5!/\sqrt{4} + 3!! - (2 + 1)!$	689 := $-5!/4 + 3!! - 2 + 1$
620 := $5 \times 4 \times (32 - 1)$	655 := $654 + 3 - 2 \times 1$	690 := $-4! + 3!! - (2 + 1)!$
621 := $5^4 - 3 - 2 + 1$	656 := $-4^3 + (2 + 1)!!$	691 := $-5 - 4! + (3 + 2 + 1)!$
622 := $5^4 - 3 \times (2 - 1)$	657 := $5^4 + 32 \times 1$	692 := $-5 - 4! + (3 \times 2)! + 1$
623 := $5^4 - 3 + 2 - 1$	658 := $5^4 + 32 + 1$	693 := $-4! + 3!! - 2 - 1$
624 := $5^4 - 3/(2 + 1)$	659 := $-5!/\sqrt{4} + 3!! - 2 + 1$	694 := $-4! + 3!! - 2 \times 1$
625 := $5^4 \times 3/(2 + 1)$	660 := $5 \times 4 \times (32 + 1)$	695 := $-4 + 3!! - 21$
626 := $5^4 + 3/(2 + 1)$	661 := $5^4 + 3!^2 \times 1$	696 := $-4! + (3 \times 2)! \times 1$

697 := −4! + (3 × 2)! + 1	732 := 4 × 3 + (2 + 1)!!	767 := 4! × 32 − 1
698 := −4! + 3!! + 2 × 1	733 := 4 + 3 ^{(2+1)!}	768 := 4! × 32 × 1
699 := 3!! − 21	734 := 5 × 4 − 3! + (2 + 1)!!	769 := 4! × 32 + 1
700 := 5 × 4 × (3!² − 1)	735 := 5 × (4 + 3) × 21	770 := 5 + 4! + 3!! + 21
701 := √4 + 3!! − 21	736 := 5 × √4 + 3!! + (2 + 1)!	771 := 54 + 3!! − 2 − 1
702 := −4! + 3!! + (2 + 1)!	737 := −4 + 3!! + 21	772 := 5 + 4! × 32 − 1
703 := 4 + 3!! − 21	738 := 4! − 3! + (2 + 1)!!	773 := 5 + 4! × 32 × 1
704 := 5 + (√4 × 3)! − 21	739 := −√4 + 3!! + 21	774 := 54 + (3 × 2)! × 1
705 := −4! + 3 ^{(2+1)!}	740 := 5 × 4 × (3!² + 1)	775 := 5 ^{√4} × (32 − 1)
706 := −√5! + 4! + 3!! − 2 × 1	741 := 3!! + 21	776 := 54 + 3!! + 2 × 1
707 := −5 × √4 + 3!! − 2 − 1	742 := 4! + 3!! − 2 × 1	777 := 54 + 3!! + 2 + 1
708 := −4 × 3 + (2 + 1)!!	743 := 4! + (3 × 2)! − 1	778 := 5!/√4 + 3!! − 2 × 1
709 := −5 − 4 + 3!! − 2 × 1	744 := 4! × (32 − 1)	779 := 5!/√4 + (3 × 2)! − 1
710 := −4 − 3! + (2 + 1)!!	745 := 4 + 3!! + 21	780 := (5! + 4 + 3!) × (2 + 1)!
711 := (5! + √4) × 3! − 21	746 := 4! + 3!! + 2 × 1	781 := 5!/√4 + (3 × 2)! + 1
712 := −√4³ + (2 + 1)!!	747 := 4! + 3 + (2 + 1)!!	782 := 5!/√4 + 3!! + 2 × 1
713 := −4 + 3!! − 2 − 1	748 := −5 + 4! + 3 ^{(2+1)!}	783 := 54 + 3 ^{(2+1)!}
714 := 3!! − (2 + 1)!	749 := 5 + 4! × (32 − 1)	784 := 4³ + (2 + 1)!!
715 := −4 + (3 × 2)! − 1	750 := 4! + 3! + (2 + 1)!!	785 := (√5⁴ + 3)² + 1
716 := −4 + (3 × 2 × 1)!	751 := 5!/4 + (3 × 2)! + 1	786 := 5!/√4 + 3!! + (2 + 1)!
717 := 3!! − 2 − 1	752 := 5 + 4! + 3 + (2 + 1)!!	787 := −5 + 4! × 3 + (2 + 1)!!
718 := 3!! − 2 × 1	753 := 4! + 3 ^{(2+1)!}	788 := 65 + 4! + 3!! − 21
719 := (3 × 2)! − 1	754 := √5⁴ + 3 ^{(2+1)!}	789 := 5 + 4³ + (2 + 1)!!
720 := (2 + 1)!!	755 := 5 + 4! + 3!! + (2 + 1)!	790 := 65 + 4 + 3!! + 2 − 1
721 := (3 × 2)! + 1	756 := (5 − √4)! × 3! × 21	791 := 6! + 5! − 43 − (2 + 1)!
722 := 3!! + 2 × 1	757 := (5 − √4)!! + 3!² + 1	792 := 4! × (32 + 1)
723 := 3!! + 2 + 1	758 := 5 + 4! + 3 ^{(2+1)!}	793 := (65 − 4) × (3! × 2 + 1)
724 := 4 + (3 × 2 × 1)!	759 := 5!/√4 + 3!! − 21	794 := 6! + 5! − 43 − 2 − 1
725 := 4 + (3 × 2)! + 1	760 := −5 + 4! + 3!! + 21	795 := 54 + 3!! + 21
726 := 3!! + (2 + 1)!	761 := 5 × 4 + 3!! + 21	796 := 6! + 5 + 4! × 3!/2 − 1
727 := 4 + 3 + (2 + 1)!!	762 := −5 + 4! × 32 − 1	797 := 5! − 43 + (2 + 1)!!
728 := (4! + 3)² − 1	763 := 43 + (2 + 1)!!	798 := (−5 + 43) × 21
729 := 3 ^{(2+1)!}	764 := −5 + 4! × 32 + 1	799 := √5⁴ × 32 − 1
730 := (4! + 3)² + 1	765 := 4! + 3!! + 21	800 := 5 ^{√4} × 32 × 1
731 := √4 + 3 ^{(2+1)!}	766 := √5⁴ + 3!! + 21	801 := 5! × 4 + 321

802 := $6! + 5! - \sqrt{4} - 3!^2 \times 1$	837 := $5 \times 4! - 3 + (2 + 1)!!$	872 := $6! + 5 + (4 + 3) \times 21$
803 := $6! + 5 \times 4 + 3 \times 21$	838 := $5! - 4 + 3!! + 2 \times 1$	873 := $5! + 4! + 3^{(2+1)!}$
804 := $6 - (5 - 43) \times 21$	839 := $5! + (\sqrt{4 + 32})! - 1$	874 := $6! + 5! - \sqrt{4} + 3!^2 \times 1$
805 := $6! + 54 + 32 - 1$	840 := $4! \times (3!^2 - 1)$	875 := $5^{\sqrt{4}} \times (3!^2 - 1)$
806 := $6! + 54 + 32 \times 1$	841 := $5! + (\sqrt{4 + 32})! + 1$	876 := $(6!/5 + \sqrt{4}) \times 3 \times 2 \times 1$
807 := $(5 + 4!) \times 3 + (2 + 1)!!$	842 := $5! + (\sqrt{4} \times 3)! + 2 \times 1$	877 := $6! + 5! + 43 - (2 + 1)!$
808 := $-6 + 5! - 4! + 3!! - 2 \times 1$	843 := $5! + 4 + (3 \times 2)! - 1$	878 := $6! + 5! + \sqrt{4} + 3!^2 \times 1$
809 := $6! + 54 + 3!^2 - 1$	844 := $5! + 4 + (3 \times 2)! \times 1$	879 := $6 \times \sqrt{5^4} \times 3! - 21$
810 := $54 \times (-3! + 21)$	845 := $5! + 4 + (3 \times 2)! + 1$	880 := $5! \times 4/3 + (2 + 1)!!$
811 := $6! - 5 + 4 \times (3 + 21)$	846 := $(5! + 4! - 3) \times (2 + 1)!$	881 := $6! + 54 \times 3 - 2 + 1$
812 := $(5! - 4) \times (3! + 2 - 1)$	847 := $5! + 4 + 3!! + 2 + 1$	882 := $(5 + \sqrt{4}) \times 3! \times 21$
813 := $5! - 4! + 3!! - 2 - 1$	848 := $5! + \sqrt{4} + 3!! + (2 + 1)!$	883 := $-5 + 4! \times (3!^2 + 1)$
814 := $5! - 4! + 3!! - 2 \times 1$	849 := $5 \times 4! + 3^{(2+1)!}$	884 := $6! + 5! + 43 + 2 - 1$
815 := $5! - 4! + 3!! - 2 + 1$	850 := $5! + (4! + 3)^2 + 1$	885 := $5! + 4! + 3!! + 21$
816 := $5! - 4! + (3 + 2 + 1)!$	851 := $5! + \sqrt{4} + 3^{(2+1)!}$	886 := $6! + 5! + 43 + 2 + 1$
817 := $5! - 4! + 3!! + 2 - 1$	852 := $5! + 4 \times 3 + (2 + 1)!!$	887 := $5! + 4! \times 32 - 1$
818 := $5! - 4! + 3!! + 2 \times 1$	853 := $5! + 4 + 3^{(2+1)!}$	888 := $4! \times (3!^2 + 1)$
819 := $5! + (\sqrt{4} \times 3)! - 21$	854 := $(5! + \sqrt{4}) \times (3 \times 2 + 1)$	889 := $5! + 4! \times 32 + 1$
820 := $6! + 5 \times 4 \times (3 + 2 \times 1)$	855 := $5 \times (4! + 3) + (2 + 1)!!$	890 := $6! + (-5 + 4!) \times 3^2 - 1$
821 := $5! + \sqrt{4} + 3!! - 21$	856 := $6! + 5! + 4!/3 \times 2 \times 1$	891 := $6! + (5 + 4!) \times 3! - 2 - 1$
822 := $5! - 4! + 3!! + (2 + 1)!$	857 := $5! - 4 + 3!! + 21$	892 := $-6 - 5 + 43 \times 21$
823 := $5! + 4 + 3!! - 21$	858 := $(5! + 4!) \times 3! - (2 + 1)!$	893 := $5 + 4! \times (3!^2 + 1)$
824 := $6! + 5! - 4!/3 \times 2 \times 1$	859 := $-5 + 4! \times 3!^2 \times 1$	894 := $-5 + (4! + 3!)^2 - 1$
825 := $5 \times (4! \times 3! + 21)$	860 := $-5 + 4! \times 3!^2 + 1$	895 := $-5 + (4! + 3!)^2 \times 1$
826 := $(5! - \sqrt{4}) \times (3 \times 2 + 1)$	861 := $(5! + 4!) \times 3! - 2 - 1$	896 := $-5 + (4! + 3!)^2 + 1$
827 := $-6 + 5! - 4 + 3!! - 2 - 1$	862 := $5! + 4! + 3!! - 2 \times 1$	897 := $6! + (5 + 4!) \times 3! + 2 + 1$
828 := $5! - 4 \times 3 + (2 + 1)!!$	863 := $4! \times 3!^2 - 1$	898 := $-5 + 43 \times 21$
829 := $6! + 5! + 4 + 3! - 21$	864 := $4 \times 3!^{2+1}$	899 := $(4! + 3!)^2 - 1$
830 := $5! - 4 - 3! + (2 + 1)!!$	865 := $4! \times 3!^2 + 1$	900 := $(4! + 3!)^2 \times 1$
831 := $6 \times 5 \times (4! + 3) + 21$	866 := $5! + 4! + 3!! + 2 \times 1$	901 := $(4! + 3!)^2 + 1$
832 := $5! - \sqrt{4} + 3!! - (2 + 1)!$	867 := $(5! + 4!) \times 3! + 2 + 1$	902 := $-6 + 5 + 43 \times 21$
833 := $5! - 4 + 3!! - 2 - 1$	868 := $(5! + 4) \times (3 \times 2 + 1)$	903 := 43×21
834 := $5! - 4 + 3!! - 2 \times 1$	869 := $5 + 4! \times 3!^2 \times 1$	904 := $5 + (4! + 3!)^2 - 1$
835 := $5! - 4 + (3 \times 2)! - 1$	870 := $5 + 4! \times 3!^2 + 1$	905 := $5 + (4! + 3!)^2 \times 1$
836 := $5! - 4 + (3 \times 2)! \times 1$	871 := $6! + 5! + 4 + 3! + 21$	906 := $5 + (4! + 3!)^2 + 1$

$$907 := 6! + 5! + 4 + 3 \times 21$$

$$908 := 5 + 43 \times 21$$

$$909 := 65 \times (4 + 3) \times 2 - 1$$

$$910 := 65 \times (4 + 3) \times 2 \times 1$$

$$911 := 65 \times (4 + 3) \times 2 + 1$$

$$912 := 5! + 4! \times (32 + 1)$$

$$913 := (-6 + 5!) \times \sqrt{4^3} + 2 - 1$$

$$914 := 6 + 5 + 43 \times 21$$

$$915 := (-6 + 5!) \times \sqrt{4^3} + 2 + 1$$

$$916 := 6! + 5 + 4! \times (3! + 2) - 1$$

$$917 := 6! - 5! - 4 + 321$$

$$918 := 6 + 5! + 4! \times (32 + 1)$$

$$919 := 6! - 5! - \sqrt{4} + 321$$

$$920 := (-65 \times 4 + 3!!) \times 2 \times 1$$

$$921 := -6 + (5 + 4!) \times 32 - 1$$

$$922 := -6 + (5 + 4!) \times 32 \times 1$$

$$923 := -6 + (5 + 4!) \times 32 + 1$$

$$924 := (6 - 5 + 43) \times 21$$

$$925 := 5^{\sqrt{4}} \times (3!^2 + 1)$$

$$926 := 6! + 5 \times (43 - 2) + 1$$

$$927 := (5 + 4!) \times 32 - 1$$

$$928 := (5 + 4!) \times 32 \times 1$$

$$929 := (5 + 4!) \times 32 + 1$$

$$930 := 5!/4 \times (32 - 1)$$

$$931 := 6! - 5 + 4! \times 3^2 \times 1$$

$$932 := 6! + 5 \times 43 - 2 - 1$$

$$933 := 6 \times 5 + 43 \times 21$$

$$934 := 6! + 5 \times 43 - 2 + 1$$

$$935 := 5 \times 43 + (2 + 1)!!$$

$$936 := (\sqrt{5 + 4})!! + 3!^{2+1}$$

$$937 := 6! - 5! - 4! + 3!!/2 + 1$$

$$938 := 6! + 5 \times 43 + 2 + 1$$

$$939 := 5! \times 4!/3 - 21$$

$$940 := -6 + 5^4 + 321$$

$$941 := 6! + 5 + 4! \times (3! + 2 + 1)$$

$$942 := (-6 + 5! \times 4 - 3) \times 2 \times 1$$

$$943 := (5! - \sqrt{4}) \times (3! + 2) - 1$$

$$944 := (5! - \sqrt{4}) \times (3^2 - 1)$$

$$945 := (5! - \sqrt{4}) \times (3! + 2) + 1$$

$$946 := 5^4 + 321$$

$$947 := (5! \times 4 - 3!) \times 2 - 1$$

$$948 := (5! \times 4 - 3!) \times 2 \times 1$$

$$949 := (5! \times 4 - 3!) \times 2 + 1$$

$$950 := 6! + 5! \times \sqrt{4} - 3^2 - 1$$

$$951 := 6! + 5! \times \sqrt{4} - 3^2 \times 1$$

$$952 := 6 + 5^4 + 321$$

$$953 := (5! \times 4 - 3) \times 2 - 1$$

$$954 := (5! \times 4 - 3) \times 2 \times 1$$

$$955 := (5! \times 4 - 3) \times 2 + 1$$

$$956 := 6! + 5! - 4 + (3 \times 2 - 1)!$$

$$957 := (5 + 4!) \times (32 + 1)$$

$$958 := 5! \times \sqrt{4} + 3!! - 2 \times 1$$

$$959 := 5!/4 \times 32 - 1$$

$$960 := 4 \times 3!!/(2 + 1)$$

$$961 := 5!/4 \times 32 + 1$$

$$962 := 5! \times \sqrt{4^3} + 2 \times 1$$

$$963 := \sqrt{5 + 4} \times 321$$

$$964 := 6! + 5! + 4 \times (32 - 1)$$

$$965 := (5! \times 4 + 3) \times 2 - 1$$

$$966 := 5! \times \sqrt{4} + 3!! + (2 + 1)!$$

$$967 := (5! \times 4 + 3) \times 2 + 1$$

$$968 := 65 + 43 \times 21$$

$$969 := 5! \times \sqrt{4} + 3^{(2+1)!}$$

$$970 := 6 \times 54 \times 3 - 2 \times 1$$

$$971 := (5! \times 4 + 3!) \times 2 - 1$$

$$972 := 54 \times (-3 + 21)$$

$$973 := (5! \times 4 + 3!) \times 2 + 1$$

$$974 := 6 \times 54 \times 3 + 2 \times 1$$

$$975 := (5! + \sqrt{4}) \times (3! + 2) - 1$$

$$976 := (5! + \sqrt{4}) \times (3! + 2 \times 1)$$

$$977 := (5! + \sqrt{4}) \times (3! + 2) + 1$$

$$978 := (5! + 43) \times (2 + 1)!$$

$$979 := (65 + 4!) \times (3! \times 2 - 1)$$

$$980 := 6! + 5 + 4^{3! - 2} - 1$$

$$981 := 5! \times 4!/3 + 21$$

$$982 := 6! + 5! + 4! \times 3! - 2 \times 1$$

$$983 := 5! + 4! \times 3!^2 - 1$$

$$984 := 5! + 4 \times 3!^{2+1}$$

$$985 := 5! + 4! \times 3!^2 + 1$$

$$986 := 5^4 + 3!!/2 + 1$$

$$987 := 6! - 54 + 321$$

$$988 := 6! + 5! + 4 \times (3!^2 + 1)$$

$$989 := 6! + 54 \times (3 + 2) - 1$$

$$990 := 5!/4 \times (32 + 1)$$

$$991 := (5! + 4) \times (3! + 2) - 1$$

$$992 := (5! + 4) \times (3^2 - 1)$$

$$993 := (5! + 4) \times (3! + 2) + 1$$

$$994 := (6!/5 - \sqrt{4}) \times (3 \times 2 + 1)$$

$$995 := 6! + 5 \times (4! + 32 - 1)$$

$$996 := 6! + 5! \times \sqrt{4} + 3!^2 \times 1$$

$$997 := 6! + 5! \times \sqrt{4} + 3!^2 + 1$$

$$998 := 6! - (5 - 4! \times 3!) \times 2 \times 1$$

$$999 := 6 \times (5! + 43) + 21$$

$$1000 := 6! + 5! \times (4 + 3)/(2 + 1)$$

12.3 Crazy Representations: Decreasing Order Ending in 0

0 := 0	35 := $3!^2 - 1 \times 0!$	70 := $4 + 3 \times (21 + 0!)$
1 := 0!	36 := $3 \times (2 + 10)$	71 := $\sqrt{(3 \times 2 + 1)! + 0!}$
2 := $1 + 0!$	37 := $3!^2 + 1 \times 0!$	72 := $3! \times (2 + 10)$
3 := $2 + 1 \times 0!$	38 := $3!^2 + 1 + 0!$	73 := $4! \times 3 + 2 - 1 \times 0!$
4 := $2 + 1 + 0!$	39 := $(4 + 3)^2 - 10$	74 := $(4!/3)^2 + 10$
5 := $(2 + 1)! - 0!$	40 := $(3! - 2) \times 10$	75 := $4! \times 3 + 2 + 1 \times 0!$
6 := $(2 + 1)! \times 0!$	41 := $43 - 2 \times 1 \times 0!$	76 := $43 \times 2 - 10$
7 := $(2 + 1)! + 0!$	42 := $32 + 10$	77 := $-4 + 3^{2+1+0!}$
8 := $-2 + 10$	43 := $43 + 21 \times 0$	78 := $4! \times 3 + (2 + 1)! \times 0!$
9 := $3^2 \times 1 \times 0!$	44 := $43 + (21 \times 0)!$	79 := $4! \times 3 + (2 + 1)! + 0!$
10 := $(3 - 2) \times 10$	45 := $43 + 2 \times 1 \times 0!$	80 := $(3! + 2) \times 10$
11 := $3 - 2 + 10$	46 := $3!^2 + 10$	81 := $3^{2 \times (1+0!)}$
12 := $2 + 10$	47 := $4! + 3 + 2 \times 10$	82 := $(43 - 2) \times (1 + 0!)$
13 := $3!/2 + 10$	48 := $3! \times (-2 + 10)$	83 := $4!/3! \times 21 - 0!$
14 := $3! - 2 + 10$	49 := $(4 + 3)^2 \times 1 \times 0!$	84 := $(4 + 3) \times (2 + 10)$
15 := $3 + 2 + 10$	50 := $(3 + 2) \times 10$	85 := $43 \times 2 - 1 \times 0!$
16 := $3 \times 2 + 10$	51 := $43 - 2 + 10$	86 := $43 \times 2 \times 1 \times 0!$
17 := $-3 + 2 \times 10$	52 := $4^3 - 2 - 10$	87 := $43 \times 2 + 1 \times 0!$
18 := $3! + 2 + 10$	53 := $(4! + 3) \times 2 - 1 \times 0!$	88 := $4 \times (32 - 10)$
19 := $3^2 + 10$	54 := $4 + (3 + 2) \times 10$	89 := $(4! + 3!) \times (2 + 1) - 0!$
20 := 2×10	55 := $43 + 2 + 10$	90 := $3^2 \times 10$
21 := $21 \times 0!$	56 := $4^3 + 2 - 10$	91 := $(4! + 3!) \times (2 + 1) + 0!$
22 := $21 + 0!$	57 := $4! + 32 + 1 \times 0!$	92 := $4 \times (3 + 2 \times 10)$
23 := $3 + 2 \times 10$	58 := $4! + 32 + 1 + 0!$	93 := $4! \times 3 + 21 \times 0!$
24 := $(2 + 1 + 0!)!$	59 := $(4 + 3)^2 + 10$	94 := $4 + 3^2 \times 10$
25 := $3 + 21 + 0!$	60 := $3 \times 2 \times 10$	95 := $4 \times (3 + 21) - 0!$
26 := $3! + 2 \times 10$	61 := $4^3 - 2 - 1 \times 0!$	96 := $3 \times \sqrt{2^{10}}$
27 := $3! + 21 \times 0!$	62 := $3 \times 21 - 0!$	97 := $4 \times (3 + 21) + 0!$
28 := $3! + 21 + 0!$	63 := $3 \times 21 \times 0!$	98 := $(4 + 3)^2 \times (1 + 0!)$
29 := $-3 + \sqrt{2^{10}}$	64 := $32 \times (1 + 0!)$	99 := $(4 + 3!)^2 - 1 \times 0!$
30 := $32 - 1 - 0!$	65 := $43 + 21 + 0!$	100 := $(4 + 3 \times 2) \times 10$
31 := $32 - 1 \times 0!$	66 := $3 \times (21 + 0!)$	101 := $(4 + 3!)^2 + 1 \times 0!$
32 := $\sqrt{2^{10}}$	67 := $4 + 3 \times 21 \times 0!$	102 := $-4! + 3! \times 21 \times 0!$
33 := $32 + 1 \times 0!$	68 := $4 + 3 \times 21 + 0!$	103 := $-4! + 3! \times 21 + 0!$
34 := $32 + 1 + 0!$	69 := $4! \times 3 - 2 - 1 \times 0!$	104 := $4 \times (3! + 2 \times 10)$

105 := (4! − 3) × ((2 + 1)! − 0!)	140 := (4 + 3) × 2 × 10	175 := 5 × (43 + 2 − 10)
106 := −4 + (3 + 2)! − 10	141 := 4 × (3! ² − 1) + 0!	176 := 4!/3 × (21 + 0!)
107 := 4 × (3! + 21) − 0!	142 := (4 × 3) ² − 1 − 0!	177 := −5!/4 − 3 + 210
108 := 4 × (3! + 21) × 0!	143 := (4 × 3) ² − 1 × 0!	178 := (−4 + 3!!/2)/(1 + 0!)
109 := 4 × (3! + 21) + 0!	144 := 3!! × 2/10	179 := (−4 + 3!!)/(2 + 1 + 0!)
110 := (3 + 2)! − 10	145 := (4 × 3) ² + 1 × 0!	180 := 3!!/(2 × (1 + 0!))
111 := −5 − 4 + 3! × 2 × 10	146 := −4 ³ + 210	181 := (4 + 3!!)/(2 + 1 + 0!)
112 := 4 × (3! + 21 + 0!)	147 := (4 + 3) × 21 × 0!	182 := 4! × (3! + 2) − 10
113 := −4 − 3 + ((2 + 1)! − 0!)	148 := (4 + 3) × 21 + 0!	183 := −4! − 3 + 210
114 := −3! + ((2 + 1)! − 0!)	149 := 4! + 3! × 21 − 0!	184 := 4 × (3! ² + 10)
115 := −4 + (3 + 2)! − 1 × 0!	150 := (4! − 3 ²) × 10	185 := 5! + 4 ³ + 2 − 1 × 0!
116 := −4 + (3 + 2)! − 1 + 0!	151 := 4! + 3! × 21 + 0!	186 := −4 × 3! + 210
117 := −3 + ((2 + 1)! − 0!)	152 := 4! × 3! − 2 + 10	187 := 5! + 4 + 3 × 21 × 0!
118 := (3 + 2)! − 1 − 0!	154 := 54 × 3 + 2 − 10	188 := −4 + 3! × √2 ¹⁰
119 := (3 + 2)! − 1 × 0!	154 := (4 × 3) ² + 10	189 := −4! + 3 + 210
120 := ((2 + 1)! − 0!)	155 := 5 × (43 − 2 − 10)	190 := 4! × (3! + 2) − 1 − 0!
121 := (3 + 2)! + 1 × 0!	156 := 4! × 3! + 2 + 10	191 := 4! × (3! + 2) − 1 × 0!
122 := (3 + 2)! + 1 + 0!	157 := 5! + 4 + 32 + 1 × 0!	192 := 3! × √2 ¹⁰
123 := 3 + ((2 + 1)! − 0!)	158 := 5! − 4 + 32 + 10	193 := 4! × (3! + 2) + 1 × 0!
124 := 4 × (32 − 1) × 0!	159 := −54 + 3 + 210	194 := 4! × (3! + 2) + 1 + 0!
125 := 3! × 21 − 0!	160 := 4 × (3! − 2) × 10	195 := 5 × 43 − 2 × 10
126 := 3! × 21 × 0!	161 := (4! + 3) × (2 + 1)! − 0!	196 := (4 × 3 + 2) ^{1+0!}
127 := 3! × 21 + 0!	162 := (4! + 3) × (2 + 1)! × 0!	197 := −5! − 4 + 321 × 0!
128 := 4 × 32 × 1 × 0!	163 := 43 + ((2 + 1)! − 0!)	198 := −4 × 3 + 210
129 := 43 × (2 + 1) × 0!	164 := 4! × 3! + 2 × 10	199 := 5 × (43 − 2 − 1) − 0!
130 := (3 + 2)! + 10	165 := 4! × 3! + 21 × 0!	200 := 4 × (3 + 2) × 10
131 := 4 × (32 + 1) − 0!	166 := 4! × 3! + 21 + 0!	201 := −54/3! + 210
132 := 3! × (21 + 0!)	167 := −43 + 210	202 := −4!/3 + 210
133 := 4 × (32 + 1) + 0!	168 := 4 × (32 + 10)	203 := −4 − 3 + 210
134 := (4 × 3) ² − 10	169 := 4!/3 × 21 + 0!	204 := −3! + 210
135 := (4! + 3) × ((2 + 1)! − 0!)	170 := 5 × (4 + 32) − 10	205 := −√4 − 3 + 210
136 := 4 × (32 + 1 + 0!)	171 := 5! + 43 − 2 + 10	206 := 4! × 3 ² − 10
137 := 4! × 3! − (2 + 1)! − 0!	172 := 43 × (2 + 1 + 0!)	207 := −3 + 210
138 := 4 × 32 + 10	173 := 5 + 4 × (32 + 10)	208 := 4 − 3! + 210
139 := 4 × (3! ² − 1) − 0!	174 := (−4! + 3!!)/(2 + 1 + 0!)	209 := −4 + 3 + 210

210 := (4 − 3) × 210	245 := 4 + 3!/(2 + 1) + 0!	280 := (−4 + 32) × 10
211 := 4 − 3 + 210	246 := 4 ^{3!−2} − 10	281 := (5! + 4! − 3) × 2 − 1 + 0
212 := −4 + 3! + 210	247 := (4! + 3!)/(2 + 1) − 0!	282 := 4! × 3 + 210
213 := 3 + 210	248 := 4 × (3 × 21 − 0!)	283 := (5! + 4! − 3) × 2 + 1 + 0
214 := 4!/3! + 210	249 := (4! + 3!)/(2 + 1) + 0!	284 := (4! × 3! − 2) × (1 + 0!)
215 := 3! ²⁺¹ − 0!	250 := (4! + 3 − 2) × 10	285 := 5 + (−4 + 32) × 10
216 := 3! + 210	251 := 4 × 3 × 21 − 0!	286 := 4! × 3! × 2 − 1 − 0!
217 := 3! ²⁺¹ + 0!	252 := 4 × 3 × 21 × 0!	287 := 4! × 3! × 2 − 1 × 0!
218 := 4!/3 + 210	253 := 43 + 210	288 := 4 × (3 × 2)!/10
219 := 4 + 3! ²⁺¹ − 0!	254 := 4 ^{3!−2} − 1 − 0!	289 := (4! × 3! × 2 + 1) × 0!
220 := 4 + 3! + 210	255 := 4 ^{3+2−1} − 0!	290 := (4! + 3 + 2) × 10
221 := 4 + 3! ²⁺¹ + 0!	256 := 4 × (3 × 21 + 0!)	291 := −5 − 4! + 321 − 0!
222 := 4 × 3 + 210	257 := 4 ^{3+2−1} + 0!	292 := (4! × 3! + 2) × (1 + 0!)
223 := 5 × 43 − 2 + 10	258 := 43 × (2 + 1)! × 0!	293 := −5 − 4! + 321 + 0!
224 := (4 + 3) × √2 ¹⁰	259 := 43 × (2 + 1)! + 0!	294 := (5! + 4! + 3) × 2 × 1 × 0!
225 := ((4! + 3!)/2) ^{1+0!}	260 := (4 × 3! + 2) × 10	295 := −5 + (4! + 3 × 2) × 10
226 := 4! × 3 ² + 10	261 := 54 − 3 + 210	296 := −4! + 32 × 10
227 := 6 + 5 + (4! + 3) × (−2 + 10)	262 := 5 + 4 ^{3!−2} + 1 + 0	297 := −4! + 321 × 0!
228 := 4! − 3! + 210	263 := 4! + 3!/(2 + 1) − 0!	298 := −4! + 321 + 0!
227 := 5 × 4 − 3 + 210	264 := 4 × 3 × (21 + 0!)	299 := 5 × 4 ³ − 21 + 0
230 := (4! − 3 + 2) × 10	265 := 4! + 3!/(2 + 1) + 0!	300 := (4! + 3 × 2) × 10
231 := 4! − 3 + 210	266 := ((4 ^{3!−2}) + 10)	301 := 43 × ((2 + 1)! + 0!)
232 := (−4! + 3!)/(2 + 1) × 0!	267 := 4! + 3 ^{(2+1)!−0!}	302 := −√4 − 3! + 2 ¹⁰
233 := (−4! + 3!)/(2 + 1) + 0!	268 := −54 + 321 + 0!	303 := 5 ⁴ − 321 − 0!
234 := 4 × 3! + 210	269 := 54 × (3 + 2) − 1 + 0	304 := −3! + 2 ¹⁰
235 := −4 + 3!/(2 + 1) − 0!	270 := (4! + 3!/2) × 10	305 := 5 ⁴ − 32 × 10
236 := −4 + 3!/(2 + 1) × 0!	271 := 54 × (3 + 2) + 1 + 0	306 := √4 − 3! + 2 ¹⁰
237 := 4! + 3 + 210	272 := (5! + 4! − 3) × 2 − 10	307 := −54 + (3!/2 + 1) × 0!
238 := √4 × (3 + 2)! − 1 − 0!	273 := (5 + 4!/3) × 21 + 0	308 := 4 − 3! + 2 ¹⁰
239 := 3!/(2 + 1) − 0!	274 := 4 ³ + 210	309 := −5 + (4! − 3!) ² − 10
240 := (3! − 2)! × 10	275 := 5 × (43 + 2 + 10)	310 := (−5 + 4 + 32) × 10
241 := 3!/(2 + 1) + 0!	276 := 5! × 4 + 3! − 210	311 := 4! × (3! × 2 + 1) − 0!
242 := √4 + 3!/(2 + 1) × 0!	277 := (5! + 4! − 3!) × 2 + 1 + 0	312 := 4! × (3!/2 + 10)
243 := 3 ^{(2+1)!−0!}	278 := 4! × 3! × 2 − 10	313 := 4! × (3! × 2 + 1) + 0!
244 := 4 + 3!/(2 + 1 + 0)	279 := 5 + 4 ³ + 210	314 := (4! − 3!) ² − 10

315 := $5 \times (4! - 3) + 210$	350 := $3!/2 - 10$	385 := $4^3 \times (2 + 1)! + 0!$
316 := $-4 + 32 \times 10$	351 := $(\sqrt{4} + 3!)/2 - 10$	386 := $4! + 3!/2 + 1 + 0!$
317 := $-4 + 321 \times 0!$	352 := $(4 + 3!)/2 - 10$	387 := $(54 + 3!)/2 \times 1 \times 0!$
318 := $-4 + 321 + 0!$	353 := $5 + (-4! + 3!)/2 + 1 - 0!$	388 := $(5! + 4! \times 3 + 2) \times (1 + 0!)$
319 := $-\sqrt{4} + 321 \times 0!$	354 := $4! \times 3! + 210$	389 := $(5! + 4 + 3!) \times (2 + 1) - 0!$
320 := 32×10	355 := $-4 + 3!/2 - 1 \times 0!$	390 := $(5! + 4 + 3!) \times (2 + 1) \times 0!$
321 := $321 \times 0!$	356 := $-4 + 3!^2 \times 10$	391 := $5!/4 + 3!/2 + 1 \times 0!$
322 := $321 + 0!$	357 := $-4 + 3!/2 + 1 \times 0!$	392 := $(5! + 4) \times 3 + 21 - 0!$
323 := $(4! - 3!)^2 \times 1 - 0!$	358 := $3!/2 - 1 - 0!$	393 := $-5^4 - 3! + 2^{10}$
324 := $4 + 32 \times 10$	359 := $3!/2 - 1 \times 0!$	394 := $4! + 3!/2 + 10$
325 := $4 + 321 \times 0!$	360 := $3!^2 \times 10$	395 := $(5! + 4 \times 3) \times (2 + 1) - 0!$
326 := $4 + 321 + 0!$	361 := $3!/2 + 1 \times 0!$	396 := $(4! - 3!) \times (21 + 0!)$
327 := $(5! + 43) \times 2 + 1 \times 0!$	362 := $3!/2 + 1 + 0!$	397 := $-54 \times 3! + (2 + 1)!! + 0!$
328 := $4! - 3!! + 2^{10}$	363 := $(4 + 3!)/2 + 1 \times 0!$	398 := $(5 \times 4!/3!)^2 - 1 - 0!$
329 := $5 + 4 + 32 \times 10$	364 := $4 + 3!^2 \times 10$	399 := $-5^4 + 32^{1+0!}$
330 := $(4! + 3^2) \times 10$	365 := $4 + 3!/2 + 1 \times 0!$	400 := $(4 + 3!^2) \times 10$
331 := $5! + 4 - 3 + 210$	366 := $4 + 3!/2 + 1 + 0!$	401 := $5 + (4! - 3!) \times (21 + 0!)$
332 := $54 \times 3! - 2 + 10$	367 := $-5 + (4 + 3!)/2 + 10$	402 := $(-5 + 4! \times 3) \times (2 + 1)! \times 0!$
333 := $543 - 210$	368 := $(-4 + 3!)/2 + 10$	403 := $(-5 + 4! \times 3) \times (2 + 1)! + 0!$
334 := $(4! - 3!)^2 + 10$	369 := $(-\sqrt{4} + 3!)/2 + 10$	404 := $54 + 3!/2 - 10$
335 := $-4! + (3!! - 2)/(1 + 0!)$	370 := $3!/2 + 10$	405 := $-5 + (43 - 2) \times 10$
336 := $4! \times (3! - 2 + 10)$	371 := $(4! + 3!! - 2)/(1 + 0!)$	406 := $(5 + 4!) \times (3! - 2 + 10)$
337 := $-4! + 3!/2 + 1 \times 0!$	372 := $(4 + 3!)/2 + 10$	407 := $(5! - 4! + 3!)/2 \times 1 - 0!$
338 := $-4! + 3!/2 + 1 + 0!$	373 := $(4! + 3!)/2 + 1 \times 0!$	408 := $4! \times (-3 + 2 \times 10)$
339 := $-5 + 43 \times (-2 + 10)$	374 := $4! + 3!/2 - 10$	409 := $5^4 - 3!^{2+1} \times 0!$
340 := $(\sqrt{4} + 32) \times 10$	375 := $54 + 321 \times 0!$	410 := $(43 - 2) \times 10$
341 := $5 \times 4 + 321 \times 0!$	376 := $54 + 321 + 0!$	411 := $(5! \times 4! - 3)/((2 + 1)! + 0!)$
342 := $(4 + 3)^{2+1} - 0!$	377 := $(4! - 3!) \times 21 - 0!$	412 := $5^4 - 3 - 210$
343 := $(4 + 3)^{2+1} \times 0!$	378 := $(4! - 3!) \times 21 \times 0!$	413 := $(5! + 4! - 3!) \times (2 + 1) - 0!$
344 := $43 \times (-2 + 10)$	379 := $(4! - 3!) \times 21 + 0!$	414 := $\sqrt{4} \times (-3 + 210)$
345 := $4! + 321 \times 0!$	380 := $(\sqrt{4} + 3!^2) \times 10$	415 := $5 + (43 - 2) \times 10$
346 := $4! + 321 + 0!$	381 := $(5! + 4 + 3) \times (2 + 1) \times 0!$	416 := $\sqrt{4} \times 3!! - 2^{10}$
347 := $(-4! + 3!)/2 \times 1 - 0!$	382 := $4! + 3!/2 - 1 - 0!$	417 := $-5 + 432 - 10$
348 := $(-4 + 3!)/2 - 10$	383 := $4^3 \times (2 + 1)! - 0!$	418 := $5^4 + 3 - 210$
349 := $(-4! + 3!! + 2)/(1 + 0!)$	384 := $4^3 \times (2 + 1)! \times 0!$	419 := $(5! - 4 + 3!! + 2)/(1 + 0!)$

420 := $(4! - 3) \times 2 \times 10$	455 := $4! \times \sqrt{3!/2 + 1} - 0!$	490 := $(4 + 3)^2 \times 10$
421 := $5^4 + 3! - 210$	456 := $4! \times (3^2 + 10)$	491 := $5! + (4! + 3!)/2 - 1 \times 0!$
422 := $432 - 10$	457 := $4! \times \sqrt{3!/2 + 1} + 0!$	492 := $4 \times (3 + ((2 + 1)! - 0!))!$
423 := $(5! + 4! - 3) \times (2 + 1) \times 0!$	458 := $5! \times 4 - 32 + 10$	493 := $(5 + 4!) \times (-3 + 21 - 0!)$
424 := $54 + 3!/2 + 10$	459 := $5! \times 4!/3! - 21 \times 0!$	494 := $(5! + 4) \times (3! - 2) - 1 - 0!$
425 := $5 \times 43 + 210$	460 := $(5 + 43 - 2) \times 10$	495 := $(5! - 4! + 3) \times ((2 + 1)! - 0!)$
426 := $\sqrt{4} \times (3 + 210)$	461 := $5! \times 4 + 3 - 21 - 0!$	496 := $54 \times 3^2 + 10$
427 := $5 + 432 - 10$	462 := $(4! - 3) \times (21 + 0!)$	497 := $5! + (4! - 3!) \times 21 - 0!$
428 := $5 \times 43 \times 2 - 1 - 0!$	463 := $5! + (4 + 3)^{2+1} \times 0!$	498 := $5! \times 4 - 3 + 21 \times 0!$
429 := $5 \times 43 \times 2 - 1 \times 0!$	464 := $5 \times (4! \times 3 + 21) - 0!$	499 := $5^4 - 3! \times 21 \times 0!$
430 := $432 - 1 - 0!$	465 := $5 \times (4! \times 3 + 21) \times 0!$	500 := $4 \times (3! \times 21 - 0!)$
431 := $432 - 1 \times 0!$	466 := $5 \times (4! \times 3 + 21) + 0!$	501 := $-5 - 4 + 3! - 210$
432 := $432 \times 1 \times 0!$	467 := $5! \times 4 - 3! \times 2 - 1 \times 0!$	502 := $\sqrt{4^{3^2}} - 10$
433 := $432 + 1 \times 0!$	468 := $4 \times (-3 + ((2 + 1)! - 0!))!$	503 := $4 \times 3! \times 21 - 0!$
434 := $432 + 1 + 0!$	469 := $5! \times 4 - 3 + 2 - 10$	504 := $4 \times 3! \times 21 \times 0!$
435 := $5 \times (43 \times 2 + 1) \times 0!$	470 := $4 \times (3 + 2)! - 10$	505 := $(4!/3!)! \times 21 + 0!$
436 := $5 + 432 - 1 \times 0!$	471 := $5! \times 4 - 3! - 2 - 1 \times 0!$	506 := $-4 + 3! - 210$
437 := $5 + 432 \times 1 \times 0!$	472 := $4 \times ((3 + 2)! - 1 - 0!)$	507 := $5! \times 4 + 3! + 21 \times 0!$
438 := $5 + 432 + 1 \times 0!$	473 := $5! \times 4 - 3 \times 2 - 1 \times 0!$	508 := $4 \times (3! \times 21 + 0!)$
439 := $(-4! + 3)^2 - 1 - 0!$	474 := $5! \times 4 - 3 - 2 - 1 \times 0!$	509 := $-5 + 4 + 3! - 210$
440 := $4 \times ((3 + 2)! - 10)$	475 := $4 \times ((3 + 2)! - 1) - 0!$	510 := $3! - 210$
441 := $(4! - 3) \times 21 \times 0!$	476 := $4 \times ((3 + 2)! - 1) \times 0!$	511 := $(4!/3)^{2+1} - 0!$
442 := $432 + 10$	477 := $4 \times ((3 + 2)! - 1) + 0!$	512 := $4^3 \times (-2 + 10)$
443 := $(-4! + 3)^2 + 1 + 0!$	478 := $4 \times (3 + 2)! - 1 - 0!$	513 := $(4!/3)^{2+1} + 0!$
444 := $(5! + 4! \times 32)/(1 + 0!)$	479 := $4 \times (3 + 2)! - 1 \times 0!$	514 := $4 + 3! - 210$
445 := $-5 + (43 + 2) \times 10$	480 := $4 \times 3! \times 2 \times 10$	515 := $5! \times 4 + 3!^2 - 1 \times 0!$
446 := $5! \times 4 - 32 - 1 - 0!$	481 := $4 \times (3 + 2)! + 1 \times 0!$	516 := $43 \times (2 + 10)$
447 := $5 + 432 + 10$	482 := $4 \times (3 + 2)! + 1 + 0!$	517 := $5! \times 4 + 3!^2 + 1 \times 0!$
448 := $4^3 \times ((2 + 1)! + 0!)$	483 := $4 \times ((3 + 2)! + 1) - 0!$	518 := $5! \times 4 + 3!^2 + 1 + 0!$
449 := $5! \times 4 - 32 + 1 \times 0!$	484 := $4 \times ((3 + 2)! + 1) \times 0!$	519 := $5 + 4 + 3! - 210$
450 := $(43 + 2) \times 10$	485 := $4 \times ((3 + 2)! + 1) + 0!$	520 := $4 \times ((3 + 2)! + 10)$
451 := $(4! - 3)^2 + 10$	486 := $-4! + 3! - 210$	521 := $5 + 43 \times (2 + 10)$
452 := $(5! - 4 - 3) \times 2 \times (1 + 0!)$	487 := $5! \times 4 + (3 \times 2 + 1) \times 0!$	522 := $\sqrt{4^{3^2}} + 10$
453 := $5! \times 4 - 3! - 21 \times 0!$	488 := $4 \times ((3 + 2)! + 1 + 0!)$	523 := $543 - 2 \times 10$
454 := $5! - 4! + 3!/2 - 1 - 0!$	489 := $5! \times 4 + 3^2 \times 1 \times 0!$	524 := $-5 + (4! - 3 + 2)^{1+0!}$

525 := (−5 + 4! + 3!) × 21 × 0!	560 := (4! + 32) × 10	595 := 5 ⁴ − 32 + 1 + 0!
526 := 5! × 4 + 3!² + 10	561 := 5 ⁴ − 3 × 21 − 0!	596 := −4 + 3!! − ((2 + 1)! − 0!)!
527 := (5 × 4 + 3)² − 1 − 0!	562 := 5! + 432 + 10	597 := −5! − 4! + 3!! + 21 × 0!
528 := 4! × (32 − 10)	563 := 543 + 2 × 10	598 := −√4 + 3!! − ((2 + 1)! − 0!)!
529 := (4! − 3 + 2) ^{1+0!}	564 := 543 + 21 × 0!	599 := 4! × ((3! − 2)! + 1) − 0!
530 := 5 × 4³ + 210	565 := 543 + 21 + 0!	600 := 3!! − ((2 + 1)! − 0!)!
531 := 543 − 2 − 10	566 := (4 × 3!)² − 10	601 := 4! × ((3! − 2)! + 1) + 0!
532 := (−5 + 4!) × (3 ²⁺¹ + 0!)	567 := (4! + 3) × 21 × 0!	602 := √4 + 3!! − ((2 + 1)! − 0!)!
533 := 5 + 4 × 3! × (21 + 0!)	568 := (4! + 3) × 21 + 0!	603 := 5 ⁴ − 32 + 10
534 := 4! + 3!! − 210	569 := −5! − 4! − 3! + (2 + 1)!! − 0!	604 := 4 + 3!! − ((2 + 1)! − 0!)!
535 := 543 + 2 − 10	570 := 5! + (43 + 2) × 10	605 := 5 × (4! × (3 + 2) + 1) × 0!
536 := 543 − (2 + 1)! − 0!	571 := −5 + 4! × (3 + 21) × 0!	606 := −4! + 3 × 210
537 := 543 − (2 + 1)! × 0!	572 := −4 + (3! − 2)! ^{1+0!}	607 := 5 ⁴ − 3! − 2 − 10
538 := 543 − (2 + 1)! + 0!	573 := 5 + (4! + 3) × 21 + 0!	608 := −√4 × (3!! − 2 ¹⁰)
539 := 543 − 2 − 1 − 0!	574 := (4 × 3!)² − 1 − 0!	609 := 5 ⁴ + 3! − 21 − 0!
540 := (4! + 3) × 2 × 10	575 := (4 × 3!)² − 1 × 0!	610 := −5! + 4 + 3! + (2 + 1)!! × 0!
541 := 543 − 2 × 1 × 0!	576 := (3! − 2)! ^{1+0!}	611 := 5 ⁴ + 3! − 2 × 10
542 := 5! + 432 − 10	577 := 4! × (3 + 21) + 0!	612 := (54 − 3) × (2 + 10)
543 := 543 + 21 × 0	578 := (4 × 3!)² + 1 + 0!	613 := 5 ⁴ − 3! − (2 + 1)! × 0!
544 := 543 + (21 × 0)!	579 := 5 ⁴ − 3!² − 10	614 := 5 ⁴ − 3 + 2 − 10
545 := 543 + 2 × 1 × 0!	580 := 4 + (3! − 2)! ^{1+0!}	615 := 5 ⁴ × (3 − 2) − 10
546 := 543 + 2 + 1 × 0!	581 := 5 + 4! × (3 + 21) × 0!	616 := 5 ⁴ − 3! − 2 − 1 × 0!
547 := 543 + 2 + 1 + 0!	582 := 5 × (−4 + (3 + 2)!) + 1 + 0!	617 := −5! − 4 + 3!! + 21 × 0!
548 := −5 + 4! × ((3! − 2)! − 1) + 0!	583 := 5 ⁴ − 32 − 10	618 := 5 ⁴ − 3 × 2 × 1 − 0!
549 := 543 + (2 + 1)! × 0!	584 := −5! + 4 + 3!! − 21 + 0!	619 := 5 ⁴ + 3! − 2 − 10
550 := 5! + 432 − 1 − 0!	585 := 5 × (−4 + (3 + 2)! + 1 × 0!)	620 := (4³ − 2) × 10
551 := 4! × ((3! − 2)! − 1) − 0!	586 := (4 × 3!)² + 10	621 := 5 ⁴ + 3 × 2 − 10
552 := 4! × (3 + 2 × 10)	587 := 5 ⁴ − 3!² − 1 − 0!	622 := 5 ⁴ − 3 + 21 × 0
553 := 4! × ((3! − 2)! − 1) + 0!	588 := 5 ⁴ − 3!² − 1 × 0!	623 := 5 ⁴ − 3! + 2 + 1 + 0!
554 := 5! + 432 + 1 + 0!	589 := 5 ⁴ − 3 × (2 + 10)	624 := 4! × (3!² − 10)
555 := 543 + 2 + 10	590 := (54 + 3 + 2) × 10	625 := (4! + 3 − 2) ^{1+0!}
556 := −5! − 4! + 3!! − 21 + 0!	591 := 5 ⁴ − 32 − 1 − 0!	626 := −4 + 3 × 210
557 := −5! − 43 + (2 + 1)!! × 0!	592 := 5 ⁴ − 32 − 1 × 0!	627 := 5 ⁴ − 3! − 2 + 10
558 := (5! − 4) × 3 + 210	593 := 5 ⁴ − 32 − 1 + 0!	628 := −√4 + 3 × 210
559 := −54 × 3 + (2 + 1)!! + 0!	594 := (4! + 3) × (21 + 0!)	629 := (4! + 3!) × 21 − 0!

630 := 3×210	665 := $5 + (4^3 + 2) \times 10$	700 := $3!! - 2 \times 10$
631 := $(4! + 3!) \times 21 + 0!$	666 := $(5 + 4! - 3)^2 - 10$	701 := $-4! + 3! + (2 + 1)!! - 0!$
632 := $\sqrt{4} + 3 \times 210$	667 := $5^4 + 32 + 10$	702 := $4 + 3!! - 21 - 0!$
633 := $5^4 + 3 + (2 + 1)! - 0!$	668 := $-5!/4 + 3!! - 21 - 0!$	703 := $4 + 3!! - 21 \times 0!$
634 := $4 + 3 \times 210$	669 := $-5!/4 + 3!! - 21 \times 0!$	704 := $4 + 3!! - 21 + 0!$
635 := $5^4 \times (3 - 2) + 10$	670 := $(5 + 4^3 - 2) \times 10$	705 := $-4! + 3^{2+1}! \times 0!$
636 := $5^4 + 3 - 2 + 10$	671 := $-5 - 4! + 3!! - 21 + 0!$	706 := $-4 + (3 \times 2)! - 10$
637 := $5^4 + 3! \times 2 - 1 + 0!$	672 := $4! \times (3^{2+1} + 0!)$	707 := $-4 \times 3 + (2 + 1)!! - 0!$
638 := $(5 + 4!) \times (32 - 10)$	673 := $-54 + 3!! + (2 + 1)! + 0!$	708 := $3!! - 2 - 10$
639 := $5 + 4 + 3 \times 210$	674 := $-4! + 3!! - 21 - 0!$	709 := $-4 \times 3 + (2 + 1)!! + 0!$
640 := $(4!/3)^2 \times 10$	675 := $-4! + 3!! - 21 \times 0!$	710 := $(3 \times 2)! - 10$
641 := $\sqrt{4} \times 321 - 0!$	676 := $(4 \times 3! + 2)^{1+0!}$	711 := $-4 - 3! + (2 + 1)!! + 0!$
642 := $\sqrt{4} \times 321 \times 0!$	677 := $-43 + (2 + 1)!! \times 0!$	712 := $3!! + 2 - 10$
643 := $\sqrt{4} \times 321 + 0!$	678 := $-43 + (2 + 1)!! + 0!$	713 := $3!! - (2 + 1)! - 0!$
644 := $\sqrt{4} \times (321 + 0!)$	679 := $-5 - 4! + 3!! - 2 - 10$	714 := $3!! - (2 + 1)! \times 0!$
645 := $5 \times (4 \times 32 + 1) \times 0!$	680 := $5 \times 4 \times (32 + 1 + 0!)$	715 := $3!! - (2 + 1)! + 0!$
646 := $5 \times 43 \times (2 + 1) + 0!$	681 := $-5 - 4! + (3 \times 2)! - 10$	716 := $3!! - 2 - 1 - 0!$
647 := $4! \times 3^{2+1} - 0!$	682 := $(-5 + 4!) \times 3!^2 - 1 - 0!$	717 := $3!! - 2 - 1 \times 0!$
648 := $4! \times 3^{2+1} \times 0!$	683 := $-5 - 4! + 3!! + 2 - 10$	718 := $3!! - 2 \times 1 \times 0!$
649 := $4! \times 3^{2+1} + 0!$	684 := $-4! + 3!! - 2 - 10$	719 := $(2 + 1)!! - 0!$
650 := $5 \times 4 + 3 \times 210$	685 := $-5 - 4! + 3!! - (2 + 1)! \times 0!$	720 := $(2 + 1)!! \times 0!$
651 := $5^4 + 3! + 2 \times 10$	686 := $-4! + (3 \times 2)! - 10$	721 := $(2 + 1)!! + 0!$
652 := $5^4 + 3^{2+1} \times 0!$	687 := $5! + (4! + 3) \times 21 \times 0!$	722 := $3!! + 2 \times 1 \times 0!$
653 := $5 + 4! \times 3^{2+1} \times 0!$	688 := $3!! - \sqrt{2^{10}}$	723 := $3!! + 2 + 1 \times 0!$
654 := $4! + 3 \times 210$	689 := $-4! + 3!! - (2 + 1)! - 0!$	724 := $3!! + 2 + 1 + 0!$
655 := $-4^3 + (2 + 1)!! - 0!$	690 := $-4! + 3!! - (2 + 1)! \times 0!$	725 := $3!! + (2 + 1)! - 0!$
656 := $-4^3 + (2 + 1)!! \times 0!$	691 := $-4! + 3!! - (2 + 1)! + 0!$	726 := $3!! + (2 + 1)! \times 0!$
657 := $-4^3 + (2 + 1)!! + 0!$	692 := $-4 + 3!! - (2 + 1 + 0!)!$	727 := $3! + (2 + 1)!! + 0!$
658 := $5^4 + 32 + 1 \times 0!$	693 := $-4! + 3!! - 2 - 1 \times 0!$	728 := $3!! - 2 + 10$
659 := $5^4 + 32 + 1 + 0!$	694 := $-4 + 3!! - 21 - 0!$	729 := $3^{2+1}! \times 0!$
660 := $(4^3 + 2) \times 10$	695 := $-4! + (3 \times 2)! - 1 \times 0!$	730 := $(3 \times 2)! + 10$
661 := $5^4 + 3 \times (2 + 10)$	696 := $3!! - (2 + 1 + 0!)!$	731 := $(4! + 3)^2 + 1 + 0!$
662 := $5^4 + 3!^2 + 1 \times 0!$	697 := $-4! + (3 \times 2)! + 1 \times 0!$	732 := $3!! + 2 + 10$
663 := $5^4 + 3!^2 + 1 + 0!$	698 := $3!! - 21 - 0!$	733 := $4 + 3^{2+1}! \times 0!$
664 := $-4! + 3!! - \sqrt{2^{10}}$	699 := $3!! - 21 \times 0!$	734 := $4 + (3 \times 2)! + 10$

735 := $(5 + 4)^3 + (2 + 1)! \times 0!$	770 := $4! \times 32 + 1 + 0!$	805 := $-5^4 + 3!! \times 2 - 10$
736 := $-4 + 3!! + 2 \times 10$	771 := $54 + 3!! - 2 - 1 \times 0!$	806 := $-5! - 4 + 3!! + 210$
737 := $-4 + 3!! + 21 \times 0!$	772 := $5!/4 + 3!! + 21 + 0!$	807 := $(5 + 4!) \times 3 + (2 + 1)!! \times 0!$
738 := $-4 + 3!! + 21 + 0!$	773 := $-5 + 4! \times 32 + 10$	808 := $5! - 4! + 3!! + 2 - 10$
739 := $(4! + 3)^2 + 10$	774 := $54 + 3!! + 21 \times 0$	809 := $-5 \times 43 + 2^{10}$
740 := $3!! + 2 \times 10$	775 := $54 + (3 \times 2)! + 1 \times 0!$	810 := $54 \times 3/2 \times 10$
741 := $3!! + 21 \times 0!$	776 := $4! + 3!! + \sqrt{2^{10}}$	811 := $-5 + 4 \times (-3! + 210)$
742 := $3!! + 21 + 0!$	777 := $54 + 3 + (2 + 1)!! \times 0!$	812 := $(5 + 4!) \times (3^{2+1} + 0!)$
743 := $4! + (3 \times 2)! - 1 \times 0!$	778 := $4! \times 32 + 10$	813 := $5! - 4! + 3!! - 2 \times 1 - 0!$
744 := $3!! + (2 + 1 + 0!)!$	779 := $-5 + (-4 + 32)^{1+0!}$	814 := $-5! + 4 + 3!! + 210$
745 := $4 + 3!! + 21 \times 0!$	780 := $5 \times (4! \times 3! + 2 + 10)$	815 := $5! - 4 + 3!! - 21 \times 0!$
746 := $4 + 3!! + 21 + 0!$	781 := $-5! + (4! + 3!)^2 \times 1 + 0!$	816 := $4 \times (-3! + 210)$
747 := $4! + 3!! + 2 + 1 \times 0!$	782 := $54 + 3!! - 2 + 10$	817 := $5! - 4! + (3 \times 2)! + 1 + 0$
748 := $4 + 3!! + (2 + 1 + 0!)!$	783 := $4^3 + (2 + 1)!! - 0!$	818 := $(5!/4!)! + 3!! - 21 - 0!$
749 := $4! + 3!! + (2 + 1)! - 0!$	784 := $4^3 + (2 + 1)!! \times 0!$	819 := $(5!/4!)! + 3!! - 21 \times 0!$
750 := $4! + 3!! + (2 + 1)! \times 0!$	785 := $4^3 + (2 + 1)!! + 0!$	820 := $5! - 4! + 3!! + 2 + 1 + 0!$
751 := $4! + 3! + (2 + 1)!! + 0!$	786 := $-5! - 4! + 3!! + 210$	821 := $5 + 4 \times (-3! + 210)$
752 := $3!! + \sqrt{2^{10}}$	787 := $-5 + 4! \times (32 + 1) \times 0!$	822 := $5! - 4! + 3!! + ((2 + 1) \times 0!)!$
753 := $4! + 3^{2+1}! \times 0!$	788 := $-5 + 4! \times 3 + (2 + 1)!! + 0!$	823 := $-5 + 4 \times (-3 + 210)$
754 := $4! + 3^{2+1}! + 0!$	789 := $5 + 4^3 + (2 + 1)!! \times 0!$	824 := $5! + 4 + 3!! - 21 + 0!$
755 := $(5!/4 + 3!) \times 21 - 0!$	790 := $(5 + 4! \times 3 + 2) \times 10$	825 := $-5^4 + 3!! \times 2 + 10$
756 := $4! + 3!! + 2 + 10$	791 := $4! \times (32 + 1) - 0!$	826 := $5! - 4 + (3 \times 2)! - 10$
757 := $(5!/4 + 3!) \times 21 + 0!$	792 := $4! \times (32 + 1) \times 0!$	827 := $(5! + 4! - 3!) \times (2 + 1)! - 0!$
758 := $4! \times 32 - 10$	793 := $4! \times (32 + 1) + 0!$	828 := $4 \times (-3 + 210)$
759 := $5 + 4! + (3 \times 2)! + 10$	794 := $54 + 3!! + 21 - 0!$	829 := $5^4 - 3! + 210$
760 := $(-5 + 43) \times 2 \times 10$	795 := $54 + 3!! + 21 \times 0!$	830 := $5! - 4 - 3! + (2 + 1)!! \times 0!$
761 := $5 + 4! + 3!! + 2 + 10$	796 := $54 + 3!! + 21 + 0!$	831 := $(5 + 4 \times 3!)^2 - 10$
762 := $43 + (2 + 1)!! - 0!$	797 := $(-5 + 43) \times 21 - 0!$	832 := $5^4 - 3 + 210$
763 := $43 + (2 + 1)!! \times 0!$	798 := $(-5 + 43) \times 21 \times 0!$	833 := $5 + 4 \times (-3 + 210)$
764 := $4! + 3!! + 2 \times 10$	799 := $(-5 + 43) \times 21 + 0!$	834 := $5! - 4 + 3!! - 2 - 1 + 0!$
765 := $4! + 3!! + 21 \times 0!$	800 := $5 \times 4!/3 \times 2 \times 10$	835 := $5 \times (-43 + 210)$
766 := $4! \times 32 - 1 - 0!$	801 := $5! \times 4 + 321 \times 0!$	836 := $-4 + 3!! + ((2 + 1)! - 0!)!$
767 := $4! \times 32 - 1 \times 0!$	802 := $5! \times 4 + 321 + 0!$	837 := $5 \times 4! + 3!! - 2 - 1 \times 0!$
768 := $4^3 \times (2 + 10)$	803 := $6! + 5! - 4! - 3!/2 - 10$	838 := $-\sqrt{4} + 3!! + ((2 + 1)! - 0!)!$
769 := $4! \times 32 + 1 \times 0!$	804 := $5! - 4! + 3!! - 2 - 10$	839 := $4! \times (3!^2 - 1) - 0!$

840 := 3!! + ((2 + 1)! – 0!)!	875 := (5!/4!) ³ × ((2 + 1)! + 0!)	910 := (4! + 3!) ² + 10
841 := 4! × (3! ² – 1) + 0!	876 := 5! + 4! + 3!! + 2 + 10	911 := –5! + 4 + 3 + 2 ¹⁰
842 := √4 + 3!! + ((2 + 1)! – 0!)!	877 := –5! – 4! – 3 + 2 ¹⁰	912 := 4! × (3! ² + 1 + 0!)
843 := (5 + 4 × 3!) ² + 1 + 0!	878 := 5! + 4! × 32 – 10	913 := 5! + 4! × (32 + 1) + 0!
844 := 4 + 3!! + ((2 + 1)! – 0!)!	879 := 5 + 4! × 3! ² + 10	914 := –5! + 4 + 3! + 2 ¹⁰
845 := 5! + 4 + 3!! + 2 – 1 × 0!	880 := –4! × 3! + 2 ¹⁰	915 := 5 × (–4! – 3 + 210)
846 := 5! + 4 + 3!! + 2 × 1 × 0!	881 := –5! + (4 + 3!) ²⁺¹ + 0!	916 := –5! + 4 × 3 + 2 ¹⁰
847 := –5 + 4 × (3 + 210)	882 := (–4! + 3) ² × (1 + 0!)	917 := 5 + 4! × (3! ² + 1 + 0!)
848 := 5! × (4 + 3) – 2 + 10	883 := –5! – 4! + 3 + 2 ¹⁰	918 := (5! – √4) × 3! + 210
849 := –5 + 4! × 3! ² – 10	884 := 5! + 4! + 3!! + 2 × 10	919 := –5 × (4! – 3) + 2 ¹⁰
850 := 5! + 4 + 3! + (2 + 1)!! × 0!	885 := 5! + 4! + 3!! + 21 × 0!	920 := (5! + 4 – 32) × 10
851 := 5 ⁴ × 3 – 2 ¹⁰	886 := 5! + 4! × 32 – 1 – 0!	921 := –5 – 4 + 3!! + 210
852 := 4 × (3 + 210)	887 := 4! × (3! ² + 1) – 0!	922 := –5! + 4! – 3! + 2 ¹⁰
853 := 5! + 4 + 3 ²⁺¹ ! × 0!	888 := 4! × (3! ² + 1 × 0!)	923 := –5 – √4 + 3!! + 210
854 := 4! × 3! ² – 10	889 := 4! × (3! ² + 1) + 0!	924 := (5! – 43) × (2 + 10)
855 := 5 × (4! + 3) + (2 + 1)!! × 0!	890 := (4! + 3!) ² – 10	925 := –5!/4! + 3!! + 210
856 := 5! – 4 + 3!! + 21 – 0!	891 := 6 + 5! + 4! + 3!! + 21 × 0!	926 := –4 + 3!! + 210
857 := 5 + 4 × (3 + 210)	892 := –5! – 4 × 3 + 2 ¹⁰	927 := (5! – 4) × (3! + 2) × 1 – 0!
858 := 5! + 4! + 3!! – (2 + 1)! × 0!	893 := (5 + 4! × 3!) × (2 + 1)! – 0!	928 := –√4 + 3!! + 210
859 := –5 + 4! × 3! ² × 1 × 0!	894 := –5 + (4! + 3!) ² – 1 × 0!	929 := –5 + 4 + 3!! + 210
860 := 43 × 2 × 10	895 := –5 + (4! + 3!) ² × 1 × 0!	930 := 3!! + 210
861 := –5! – 43 + 2 ¹⁰	896 := (5! – 4!/3) × (–2 + 10)	931 := 5 – 4 + 3!! + 210
862 := 4! × 3! ² – 1 – 0!	897 := –5 + (4! + 3!) ² + 1 + 0!	932 := √4 + 3!! + 210
863 := 4! × 3! ² – 1 × 0!	898 := (4! + 3!) ² – 1 – 0!	933 := √5+4 + 3!! + 210
864 := 4 × (3! + 210)	899 := (4! + 3!) ² – 1 × 0!	934 := 4 + 3!! + 210
865 := 4! × 3! ² + 1 × 0!	900 := (4! + 3!) ² × 1 × 0!	935 := 5 × 43 + (2 + 1)!! × 0!
866 := 4! × 3! ² + 1 + 0!	901 := (4! + 3!) ² + 1 × 0!	936 := (5 × 4! – 3) × (–2 + 10)
867 := 5! + 4! + 3!! + 2 + 1 × 0!	902 := 43 × 21 – 0!	937 := (√5+4)!! + 3! ²⁺¹ + 0!
868 := 4 × (3! ²⁺¹ + 0!)	903 := 43 × 21 × 0!	938 := 5! × 4!/3 – 21 – 0!
869 := 5 + 4! × 3! ² × 1 × 0!	904 := 43 × 21 + 0!	939 := (5 + 4) ³ + 210
870 := 5 + 4! × 3! ² × 1 + 0!	905 := –5! + 4 – 3 + 2 ¹⁰	940 := 5! × 4!/3 – 2 × 10
871 := 5! + 4! + 3!! + (2 + 1)! + 0!	906 := –4! + 3!! – 210	941 := –5 + 43 × (21 + 0!)
872 := 5! + 4! + 3!! – 2 + 10	907 := 5 + 43 × 21 – 0!	942 := (5! × 4 – 3 ²) × (1 + 0!)
873 := 5! + 4! + 3 ²⁺¹ ! × 0!	908 := 5 + 43 × 21 × 0!	943 := (5! – √4) × (3! + 2) – 1 × 0!
874 := 4! × 3! ² + 10	909 := 5 + 43 × 21 + 0!	944 := –4 ³ ! + ((2 + 1)! + 0!)!

945 := 5 ⁴ + 32 × 10	964 := 4 × (3!!/(2 + 1) + 0!)	983 := 5! + 4! × 3! ² × 1 − 0!
946 := 43 × (21 + 0!)	965 := 5 + 4! × (3! − 2) × 10	984 := (5 × 4! + 3) × (−2 + 10)
947 := −5! + 43 + 2 ¹⁰	966 := (5! × 4 + 3) × 2 × 1 × 0!	985 := 5! + 4! × 3! ² × 1 + 0!
948 := (5! × 4 − 3!) × 2 + 1 − 0!	967 := −54 − 3 + 2 ¹⁰	986 := 5 − 43 + 2 ¹⁰
949 := (5! × 4 − 3!) × 2 + 1 × 0!	968 := −5! + 4 ³ + 2 ¹⁰	987 := 5 ⁴ + 3!!/2 + 1 + 0!
950 := 5! × (4 + 3! − 2) − 10	969 := 5 + 4 × (3!!/(2 + 1) + 0!)	988 := (5 × √4) ³ − 2 − 10
951 := 5 + 43 × (21 + 0!)	970 := 5! × (4 + 3! − 2) + 10	989 := −5 − 4! − 3! + 2 ¹⁰
952 := −4! × 3 + 2 ¹⁰	971 := (5! × 4 + 3!) × 2 − 1 × 0!	990 := 5 × (−4 × 3 + 210)
953 := (5! × 4 − 3) × 2 − 1 × 0!	972 := 4 × 3 ^{(2+1)!−0!}	991 := (5! + 4) × (3! + 2) − 1 × 0!
954 := 4! + 3!! + 210	973 := −54 + 3 + 2 ¹⁰	992 := (5! + 4) × (3! − 2) × (1 + 0!)
955 := 5 × (4! × (3! + 2) − 1 × 0!)	974 := −5 × (4 + 3!) + 2 ¹⁰	993 := (5! + 4) × (3! + 2) + 1 × 0!
956 := 4 × (3!!/(2 + 1) − 0!)	975 := 5 ⁴ + 3!!/2 − 10	994 := −4! − 3! + 2 ¹⁰
957 := 5 − 4! × 3 + 2 ¹⁰	976 := −5 − 43 + 2 ¹⁰	995 := 5 ⁴ + 3!!/2 + 10
958 := 5!/4 × 32 − 1 − 0!	977 := 5 + 4 × 3 ^{(2+1)!−0!}	996 := (5 × √4) ³ − 2 − 1 − 0!
959 := 4 × 3!!/(2 + 1) − 0!	978 := (5! × 4 + 3 ²) × (1 + 0!)	997 := −4! − 3 + 2 ¹⁰
960 := 4 × 3!!/(2 + 1) × 0!	979 := (5! + 43) × (2 + 1)! + 0!	998 := −5 − 4! + 3 + 2 ¹⁰
961 := 4 × 3!!/(2 + 1) + 0!	980 := 5! × 4!/3 + 2 × 10	999 := (4 + 3!) ²⁺¹ − 0!
962 := 5!/4 × 32 + 1 + 0!	981 := −43 + 2 ¹⁰	1000 := −4 × 3! + 2 ¹⁰
963 := 5! × 4!/3 + 2 + 1 × 0!	982 := (5! × 4 + 3!) × 2 + 10	
