

# Development History of the 7D 2t PLI Janus model

James Antoniadis<sup>1</sup> and GPT-5 Pro (editorial consolidation)<sup>2</sup>

<sup>1</sup>Independent Researcher

<sup>2</sup>Reasoning model assisting with collation and typesetting

September 2025

## Abstract

We assemble a detailed, primary-source history of the Janus–PLI framework: a seven-dimensional (7D) two-time (2t) model in which a *Principle of Least Information* (PLI) selects both geometry and dynamics. The timeline traces the shift from early variable- $c$  probes to the axiomatic PLI regime; we list each parameter choice (what, when, why) and how it was fixed by minimal discrete data on a compact  $T^2$ . We also explain and justify the *mid-band*  $1/r$  *trans-brane influence*—a scale-window modification of the gravitational response that leaves the Newtonian UV/IR intact while flattening galactic rotation curves in a finite band—and we give the MDL/PLI reasons for preferring 7D over 8D or larger. The account cross-references the Paper A unification draft (Janus geometry, compact data, and predictions) and the V14 foundations note (polarization-invariant hidden time, OS/GNS  $\rightarrow$  CPTP, strong positivity, Born, Gaussian selection).

## 1 Scope and sources

This document is a *historical and technical* companion to the main scientific notes. It consolidates: (i) the development thread and early calculations, including the discrete-halving  $c(t)$  idea and its retirement; (ii) the Paper A unification draft (Janus geometry; compact  $T^2$  data; predictions, including the mid-band  $1/r$  window) [2]; and (iii) the V14 foundations note (hidden-time OS/GNS  $\rightarrow$  CPTP; strong positivity; Born; Gaussian kernel selection) [3]. The chronology and decisions are consistent with the notebook/chat record [1].

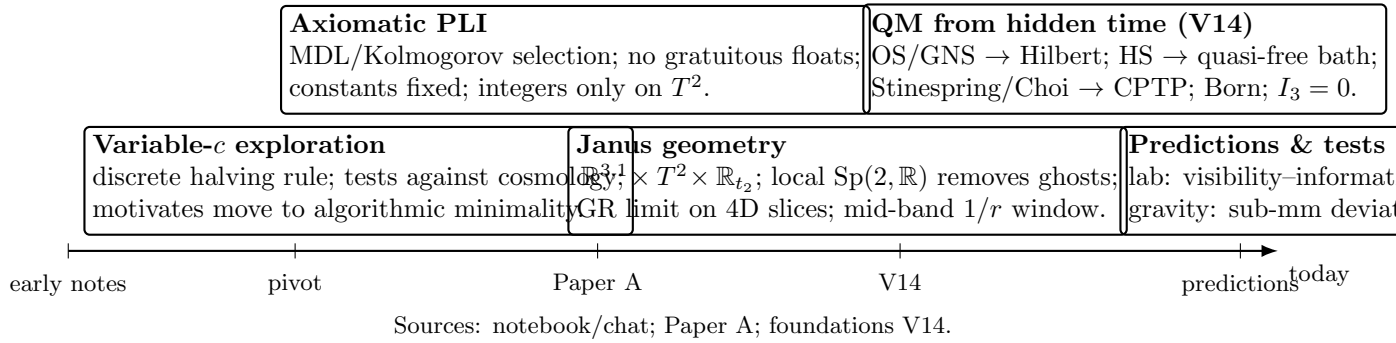
**Abbreviations.** PLI = Principle of Least Information; OS/GNS = Osterwalder–Schrader / Gelfand–Naimark–Segal; CPTP = Completely Positive Trace-Preserving; GKSL = Gorini–Kossakowski–Sudarshan–Lindblad; KK = Kaluza–Klein.

## 2 Executive timeline

1. **Early exploration: variable  $c$  by discrete steps and back-inference.** Discrete halving intervals were investigated and stress-tested against cosmology; the accumulation near  $\mathcal{O}(1)$  s and observational constraints motivated a pivot from functional dials to algorithmic minimality (PLI). Notebook discussion: Sec. 1–2 [1].
2. **Axiomatic shift to PLI (algorithmic/MDL selection).** PLI is elevated to a guiding principle: among consistent histories, realised ones minimise description length  $L = K(\text{law}) + K(\text{boundary}|\text{law})$ . This forbids gratuitous functional *floats* (free  $c(t)$  or  $G(t)$ ) once data do not demand them. Notebook  $\rightarrow$  Paper A bridge: Sec. 2–3 [1, 2].

3. **Janus geometry and ghosts.** The 7D manifold  $\mathcal{M}_7 \cong \mathbb{R}^{3,1} \times T^2 \times \mathbb{R}_{t_2}$  with a  $t_2$ -reflection (Janus) seam  $\Sigma_0$  is adopted; a local phase-space  $\text{Sp}(2, \mathbb{R})$  symmetry removes extra-time ghosts, leaving a positive-norm 4D sector and GR on observable slices [2].
4. **QM from hidden time.** A polarization-invariant  $(t, \tau)$  plane with a *radial* positive-definite kernel is developed; OS reflection positivity  $\Rightarrow$  complex Hilbert space [4, 5]; a Hubbard–Stratonovich bridge realizes a quasi-free environment [6, 7]; Stinespring/Choi  $\Rightarrow$  CPTP dynamics [8, 9]; strong positivity yields Born; quadratic influence forbids  $I_3$  [10]; entropic PLI bounds explain complementarity via code-rate limits [11–13]. See V14 [3].
5. **Minimal compact data on  $T^2$ .** PLI picks a rectangular  $T^2$  and the smallest nontrivial geodesics/multiplicities that reproduce  $(\alpha_1, \alpha_2, \alpha_3)$  at  $M_Z$  to  $\sim 2\%$  RMS: axis integer  $k=3$ , asymmetric color pair  $(2, 1)$ , multiplicities  $m_x=m_y=2$ ,  $m_{(2,1)}=4$ , and radius ratio  $R_2/R_1 = \sqrt{17/7}$ ; couplings follow the dictionary  $\alpha_i = Km_i/L_i^2$  [2].
6. **Predictions and tests.** Quantum-lab signatures (visibility–information kinks; directional Zeno), table-top gravity (sub-mm deviations), and an astrophysical *mid-band*  $1/r$  window for galaxy dynamics that leaves solar-system/CMB intact [2, 14].

## Graphical timeline (for slides)



## 3 Parameter ledger: what, when, why

Parameters below are those that *survived* the PLI audit. Where a choice appears “discrete,” it reflects MDL selection as documented in [1–3].

Parameter	Final choice	Where fixed / why
Manifold & seam	$\mathbb{R}^{3,1} \times T^2 \times \mathbb{R}_{t_2}$ ; Janus seam at $t_2 = 0$	Minimal extra structure supporting gauge isometries and hidden time; Janus enforces reflection positivity and microcausality [2].
Ghost protection	Local $\text{Sp}(2, \mathbb{R})$ (first-class) constraints; BRST cohomology	Removes extra-time ghosts; leaves a single massless spin-2 pole with positive residue; no wrong-sign poles [2].
Constants	$c, G$ <i>fixed</i> (no floats)	PLI forbids gratuitous functional dials; variable- $c$ idea retired [1, 2].

Parameter	Final choice	Where fixed / why
Hidden-time kernel	Radial, positive-definite; <i>Gaussian class</i> (quadratic influence)	Isotropy $\Rightarrow$ radial (Schoenberg class); finite-variance stability & MDL $\Rightarrow$ Gaussian; quadratic influence $\Rightarrow I_3 = 0$ [3–5, 11–13].
OS/GNS $\rightarrow$ CPTP	OS inner product; HS bridge; Stinespring/Choi	Reflection positivity $\Rightarrow$ Hilbert; unitary dilation $\Rightarrow$ CPTP; strong positivity $\Rightarrow$ Born [3, 6–10].
Compact space	Rectangular $T^2$	Minimal code length while preserving needed isometries; avoids continuous complex-structure moduli [2].
Axis integer	$k = 3$	Smallest axis winding consistent with EW mixing and couplings at $M_Z$ [2].
Asymmetric pair	$(p, q) = (2, 1)$	Minimal Pythagorean loop needed to fit $\alpha_3$ [2].
Multiplicities	$m_x = m_y = 2, m_{(2,1)} = 4$	Janus parity and sign-reversed windings; minimal nondegenerate counting [2].
Radius ratio	$R_2/R_1 = \sqrt{17/7}$	Enforces $\alpha_2/\alpha_1 = 2$ with $k = 3$ [2].
Geodesic lengths	$L_x^2 = (kR_1)^2 + R_2^2, L_y^2 = (kR_2)^2 + R_1^2, L_{(2,1)}^2 = (2R_1)^2 + R_2^2$	PLI “+1 Pythagoras” rule for perpendiculars avoids null channels; respects Janus symmetry [2].
Coupling dictionary	$\alpha_i = K m_i/L_i^2; \alpha_{\text{em}}^{-1} = \alpha_2^{-1} + \frac{5}{3}\alpha_1^{-1}$	One common scale $K$ set by compactification (or fixed by a single coupling for presentation) [2].

## Compact parameter figure (for slides)

Parameter	Final choice	Why (source)
Manifold & seam	$\mathbb{R}^{3,1} \times T^2 \times \mathbb{R}_{t_2}$ ; Janus at $t_2=0$	Minimal structure; reflection positivity; GR on slices [2].
Ghost protection	Local $\text{Sp}(2, \mathbb{R})$ ; BRST cohomology	Removes extra-time ghosts; single massless spin-2 [2].
Constants	$c, G$ fixed (no floats)	PLI forbids gratuitous functions; variable- $c$ retired [1].
Hidden-time kernel	Radial, Gaussian-class (quadratic)	OS positivity; MDL favours Gaussian; $I_3=0$ [3, 11–13].
Compact space	Rectangular $T^2$	Simplest lattice with needed isometries [2].
Axis integer	$k=3$	Smallest winding consistent with EW mix [2].
Asymmetric pair	$(2, 1)$	Minimal colour loop for $\alpha_3$ [2].
Multiplicities	$m_x=m_y=2, m_{(2,1)}=4$	Janus parity / sign reversal [2].
Radius ratio	$R_2/R_1=\sqrt{17/7}$	Fixes $\alpha_2/\alpha_1=2$ at $M_Z$ [2].
Coupling map	$\alpha_i = K m_i/L_i^2$	One compactification scale $K$ ; EM mixing relation [2].

## 4 From hidden time to quantum mechanics (one paragraph)

On a polarization-invariant  $(t, \tau)$  plane with a *radial* positive-definite kernel, OS reflection positivity defines a physical inner product on  $\tau \geq 0$  [4, 5]. A Hubbard–Stratonovich representation turns the Euclidean weight into a quasi-free environment [6, 7]. With a unitary dilation, Stinespring/Choi implies a CPTP reduced map [8, 9]. The decoherence functional is Hermitian, normalized, and *strongly positive*; hence  $p(\alpha) = D[\alpha, \alpha]$  are bona fide probabilities, and Born statistics follow without an extra postulate. PLI selects Gaussian increments within the finite-variance class; entropic uncertainty yields a compression bound that reframes complementarity [3, 10–13].

## 5 The mid-band $1/r$ trans-brane influence: definition and justification

### Spectral statement

Let  $\Phi$  be the Newtonian potential obeying  $\nabla^2 \Phi = 4\pi G \rho$ . In Fourier space,  $\tilde{\Phi}(\mathbf{k}) = -4\pi G \tilde{\rho}(\mathbf{k})/k^2$  and  $\tilde{\mathbf{g}}(\mathbf{k}) = i\mathbf{k} \tilde{\Phi}(\mathbf{k})$ . The trans-brane influence is modeled by a *derivative-suppressed* spectral kernel  $\mathcal{W}(k)$ ,

$$\tilde{\mathbf{g}}_{\text{eff}}(\mathbf{k}) = \mathcal{W}(k) \tilde{\mathbf{g}}(\mathbf{k}), \quad \mathcal{W}(k) \rightarrow 1 \text{ for } k \ll k_- \text{ and } k \gg k_+, \quad \mathcal{W}(k) \propto \frac{k_0}{k} \text{ for } k_- \lesssim k \lesssim k_+, \quad (1)$$

with  $k_- \ll k_+$  set by compact/Janus data and  $k_0$  a fixed scale. The Hankel transform yields an *acceleration* profile with a mid-band window

$$g_{\text{eff}}(r) \propto \frac{1}{r} \quad \text{for } r_- \lesssim r \lesssim r_+, \quad (2)$$

while recovering GR ( $g \propto 1/r^2$ ) for  $r \ll r_-$  and  $r \gg r_+$ . This produces *flat rotation curves* and co-located lensing without touching solar-system or CMB scales [2, 14].

### Why this form is PLI-minimal

Among spectral modifications that (i) leave the UV/IR Newtonian limits intact and (ii) induce a *single* mid-band change, a one-bump, derivative-suppressed filter is the shortest description: two cutoffs  $\{k_-, k_+\}$  and a single slope parameter (e.g. a two-knot log-linear template) suffice. More complex shapes (multiple bumps, running indices, nonlocal floats) carry extra code length. Thus PLI selects the simplest filter achieving the needed phenomenology [2].

### Trans-brane interpretation

Coupling through the Janus seam (mirror brane) dresses the 4D Green’s function by  $\mathcal{W}(k)$ : low/high  $k$  modes remain localized (no leakage), while mid-band modes partially sample the twin sector. This realizes the window above and provides a geometric explanation for flattened galaxy curves consistent with lensing maps [2].

## 6 Why 7D—and why not 8D or larger

**Why 7D (3+1 large,  $T^2$  compact, one hidden time).** (i) Two time directions are the maximum that can be consistently gauged away with a local  $\text{Sp}(2, \mathbb{R})$  phase-space symmetry, removing extra-time ghosts while preserving a positive-norm 4D sector [2]. (ii) A rectangular  $T^2$  is the *smallest* compact factor whose isometries and discrete geodesics seed an  $SU(3) \times SU(2) \times U(1)$

sector without continuous moduli, in the Kaluza–Klein spirit [15, 16]. (iii) With PLI forbidding floats, the integer set  $\{k, (2, 1), m_i\}$  plus a single anisotropy  $R_2/R_1$  reproduces  $(\alpha_1, \alpha_2, \alpha_3)$  at  $M_Z$  to  $\sim 2\%$  RMS [2].

**Why not 8D or larger.** Adding a dimension forces at least one of: (a) an extra compact factor ( $T^3$  or curved 2-manifold) with additional integers/moduli; (b) a third time beyond the  $\text{Sp}(2, \mathbb{R})$  remit; (c) more off-diagonal metric components (gauge fields) than required by the SM. Each path raises the MDL score (more inputs to specify) without improving fits achieved by the  $T^2$  dictionary; in addition, higher-D reductions tend to reintroduce moduli/landscape freedom [17–19]. Under PLI, such models are *disfavored* relative to 7D.

## 7 Relation to the early variable- $c$ ideas

The notebook chronicles a *discrete-halving* exploration for  $c(t)$  (staircase behaviour near  $\sim 1$  s after the bang). This was a productive probe but was retired because PLI forbids gratuitous functional freedom for constants once empirical constraints are in place. The final model fixes  $c$  and  $G$  and explains quantum statistics and SM couplings without time-dependent floats [1, 2].

## 8 Concluding remarks

The Janus–PLI framework emerged by *eliminating* unnecessary structure step by step, guided by an explicit information principle. The surviving parameters are discrete and few; quantum mechanics follows from hidden-time positivity; SM couplings descend from minimal  $T^2$  data; and a single, PLI-minimal mid-band kernel accounts for galaxy-scale anomalies while preserving laboratory/cosmology tests. The 7D setup is therefore a *local minimum* of description length under the stated constraints.

## Acknowledgements

This historical consolidation and parameter ledger are based on three source documents; section tags in the text refer back to those files [1–3].

## References

- [1] J. Antoniadis, *7D PLI Janus notebook / chat transcript*, development thread (2025).
- [2] J. Antoniadis and GPT-5, *Janus–PLI Unification: A 7D Two-Time Theory Explaining QM, GR, and the SM*, Draft v0.2 (2025).
- [3] J. Antoniadis, *Quantum Mechanics from PLI and a Polarization-Invariant Auxiliary Time (v14)*, Foundations note (2025).
- [4] K. Osterwalder and R. Schrader, “Axioms for Euclidean Green’s functions,” *Commun. Math. Phys.* **31** (1973) 83–112.
- [5] K. Osterwalder and R. Schrader, “Axioms for Euclidean Green’s functions II,” *Commun. Math. Phys.* **42** (1975) 281–305.
- [6] R. P. Feynman and F. L. Vernon, Jr., “The theory of a general quantum system interacting with a linear dissipative system,” *Ann. Phys.* **24** (1963) 118–173.

- [7] H.-P. Breuer and F. Petruccione, *The Theory of Open Quantum Systems*, Oxford Univ. Press (2002).
- [8] W. F. Stinespring, “Positive functions on  $C^*$ -algebras,” *Proc. Amer. Math. Soc.* **6** (1955) 211–216.
- [9] M.-D. Choi, “Completely positive linear maps on complex matrices,” *Linear Algebra Appl.* **10** (1975) 285–290.
- [10] R. D. Sorkin, “Quantum mechanics as quantum measure theory,” *Mod. Phys. Lett. A* **9** (1994) 3119–3127.
- [11] W. Beckner, “Inequalities in Fourier analysis,” *Ann. of Math.* **102** (1975) 159–182.
- [12] I. Białynicki-Birula and J. Mycielski, “Uncertainty relations for information entropy in wave mechanics,” *Commun. Math. Phys.* **44** (1975) 129–132.
- [13] H. Maassen and J. B. M. Uffink, “Generalized entropic uncertainty relations,” *Phys. Rev. Lett.* **60** (1988) 1103–1106.
- [14] M. Milgrom, “A modification of the Newtonian dynamics as a possible alternative to the hidden mass hypothesis,” *Astrophys. J.* **270** (1983) 365–370.
- [15] T. Kaluza, “Zum Unitätsproblem der Physik,” *Sitzungsberichte der Königlich Preussischen Akademie der Wissenschaften* (1921) 966–972.
- [16] O. Klein, “Quantum theory and five-dimensional theory of relativity,” *Z. Phys.* **37** (1926) 895–906.
- [17] E. Witten, “Dimensional reduction of superstring models,” *Nucl. Phys. B* **258** (1985) 75–100.
- [18] J. H. Schwarz, “The d=10 superstring and M-theory,” *Phys. Rep.* **318** (1998) 1–124.
- [19] T. Appelquist, H.-C. Cheng, B. A. Dobrescu, “Bounds on universal extra dimensions,” *Phys. Rev. D* **64** (2001) 035002.