

COLD NUCLEAR TRANSMUTATIONS

ATOMIC NUCLEI BINDING ENERGY FOR LIGHT NUCLEI

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1. Several authors predict that alpha particle structures could be present in atomic nuclei. Convincing arguments of such structures are provided by systematics of the binding energies of the even-even nuclei with equal number of protons and neutrons.
2. The kind of binding energy existing within each alpha particle is a first question to consider. How to relate that binding energy to the deuterium binding energy, as well as to the tritium and He3 ones? As these exist before the alpha particle is constituted could they be found within the nucleus as substructures linking the nucleons of one alpha particle with the nucleons of another alpha particle?
3. It will be shown in the following that the hypothesis of alpha structures in the n-alpha nuclei can indeed describe the binding energy systematics. In such an approach the system in its ground state behaves like a crystal, with stationary configuration and shape and with defined bond values between the various alpha particles. The examples provided are O16, Ne20, Mg24, Si28, S32, Ar36 and Ca40.
4. The hypothesis I developed finds its background in the structure of the neutron and the proton I proposed in my document posted on the internet one finds under www.philippehatt.com.

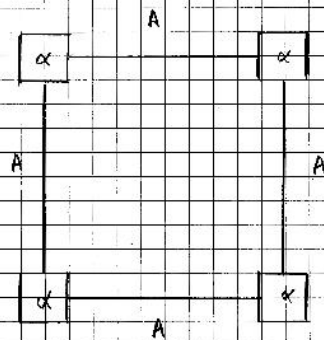
$^{40}_{10}$ 4α

$$E_B \text{ in MeV} = 127.6193$$

$$E_B =$$

$$\begin{array}{l} 4\alpha \\ 2NN \\ 2NP \end{array}$$

$$\begin{array}{r} 113.3000 \text{ MeV} \\ 9.8730 \\ 44.92 \\ \hline 127.6222 \text{ MeV} \\ +0.003 \end{array}$$



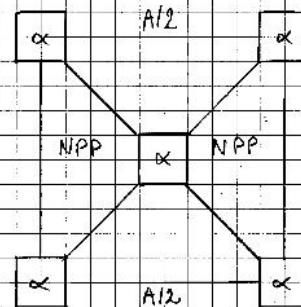
$$E_B = 4E_B\alpha + 4A = 4E_B\alpha + 25.75 = 127.6222 \text{ MeV} + 0.003$$

$$A = NN/2 + NP/2 = 6.4375$$

$^{20}_{10}\text{Ne}$ 5α

$$E_B \text{ in MeV} = 160.6448$$

E_B	5α	14	1.6250	MeV
	0.5 NN		2.4683	
	0.5 NP		1.1123	
	2. NPP		15.4360	
		160.6416	MeV	
		-0.003		

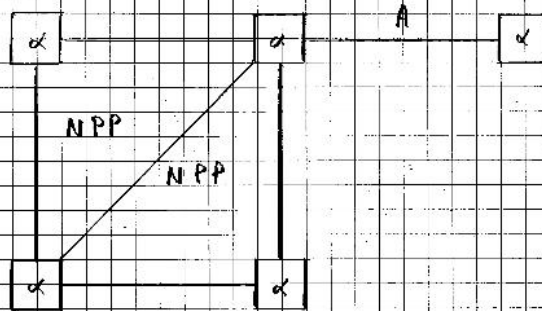


$$E_B = 5 E_B \alpha + A + 2 NPP = 5 E_B \alpha + 34.1875 =$$

$$160.6416 \text{ MeV} \\ - 0.003$$

$$A = NN/2 + NP/2 = 6.4375$$

$$NPP = 13.875 = NN + 1.25 NP$$

$^{20}_{10}\text{Ne}$ 5α $E_B \text{ in MeV} = 16.06448$ E_B 3α 14.16250 MeV 0.5 NN 2.4683 0.5 NP 1.1123 2 NPP 15.4360 16.06416 MeV -0.003 

$$E_A = 5 E_{B\alpha} + A + 2 \text{ NPP} = 5 E_{B\alpha} + 34.1875 =$$

$$16.06415 \text{ MeV}$$

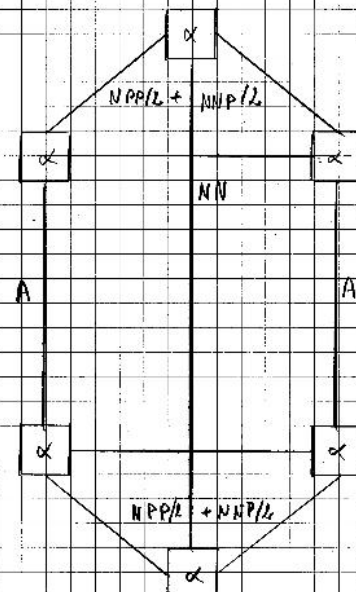
$$-0.003$$

$$A = \text{NN}/8 + \text{NP}/2 = 6.4375$$

$$\text{NPP} = 13.875$$


 6α
 $E_B \text{ in MeV} = 198.2570$

E_B	6α	169.9500 MeV
	$2NN$	9.8730
	NP	2.2246
	NNP	8.4818
	NPP	7.7182
		198.2474 MeV
		-0.010



$$E_B = 6E_{B\alpha} + 2A + NN + NNP + NPP = 6E_{B\alpha} + 50.875 =$$

$$198.2474 \text{ MeV}$$

$$-0.010$$

$$A = NN/2 + NP/2 = 6.4375 \quad NN = 9.875$$

$$NPP = 13.875 \quad NNP = 15.25 = 2NN - 1.25/2 NP$$

$2p$
 12
 $6x$

$$E_0 \text{ at MeV} = 198.2570$$

 E_0
 $6x$
 $2NN$
 NP
 NNP
 NPP

$$169.9500 \text{ MeV}$$

$$9.8730$$

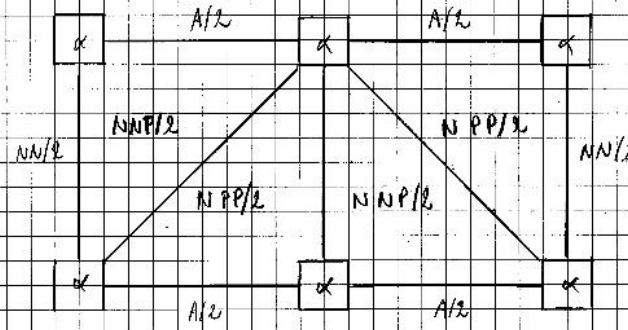
$$2.2246$$

$$8.4818$$

$$7.7180$$

$$198.2474 \text{ MeV}$$

$$-0.010$$



$$E_0 = 6E_{Bx} + 2A + NN + NNP + NPP = 6E_{Bx} + 50.875 =$$

$$198.2474 \text{ MeV}$$

$$-0.010$$

$$A = NN/2 + NP/2 = 6.4375$$

$$NN = 8.875$$

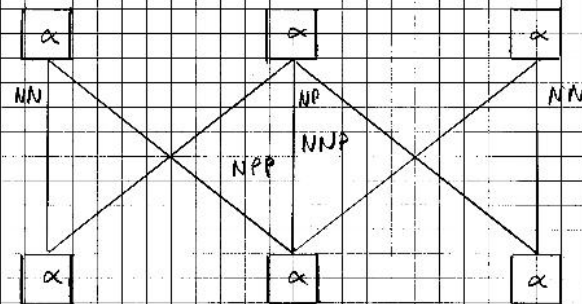
$$NPP = 13.875$$

$$NNP = 15.25$$

24
11/17

62

$$E_{\text{BinTree}} = 198,2570$$



$$E_0 = 6 E_{0,2} + 2 NN + NP + NNP + NPP =$$

$$6 E_{0,2} + 50,875 = 198,2474$$

$$-0,010$$

Remark: $2 NN + NP = 2 A + NN$

So the structure
equals

NN	NP	NN
A	NN	A

$^{28}_{16}\text{Si}$

7α

$$E_0 \text{ in MeV} = 236.5368$$

E_0

7α

1.5 NN

4 NPP

138.2750

7.4048

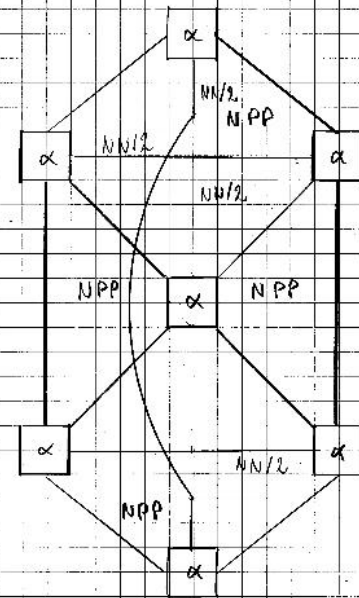
30.8720

236.5518

+0.015

MeV

MeV



$$E_0 = 7E_{\alpha} + 1.5NN + 4NPP = 68.8125 =$$

$$\begin{array}{r} 236.5518 \text{ MeV} \\ + 0.015 \\ \hline \end{array}$$

$$NN = 8.875 \quad NPP = 13.875$$



The diagram is a complex geometric construction on a grid. It features a central circle and a surrounding square frame. The diagram is divided into eight sectors by radial lines. Each sector contains a small square with a Greek letter alpha (α) and a larger square with a letter A. A central vertical line is labeled 'nn12'.

$$NN = 8.875$$

$^{32}_{16}\text{S}$ 8α

$$E_\alpha \text{ in MeV} = 271.7801$$

 E_α 8α

$$226.6000 \text{ MeV}$$

 $2NN$

$$9.8730$$

 MeV $2NP$

$$4.4492$$

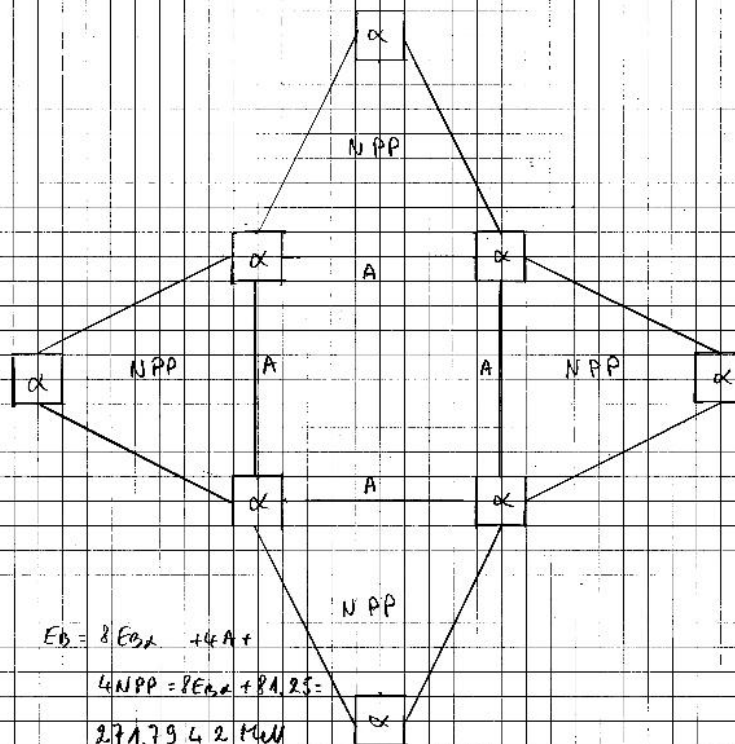
 $4NPP$

$$30.8720$$

$$271.7942$$

 MeV

$$+ 0.014$$



$$E_B = 8E_{\alpha} + 4A +$$

$$4NPP = 8E_{\alpha} + 8A + 25$$

$$271.7942 \text{ MeV}$$

$$+ 0.014$$

$$A = NN/2 + NP/2 = 6.4375$$

$$NPP = 13.875$$

$^{22}_{16}\text{S}$

8α

$E_{\text{B}} \text{ in MeV} = 271.7801$

E_{B}

8α
 2NM
 2NP
 4NPP

2.266000 MeV

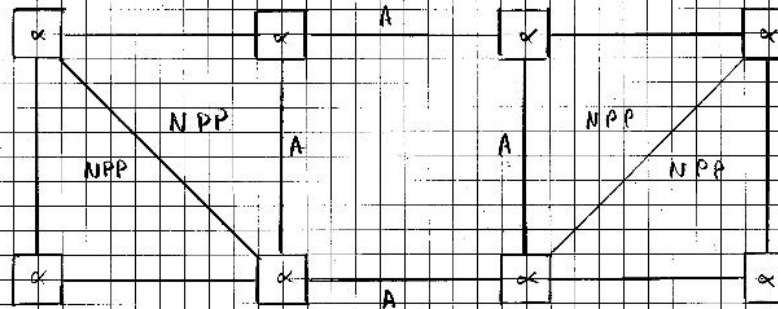
9.8730

4.6492

30.8720

271.7942 MeV

$+0.014$



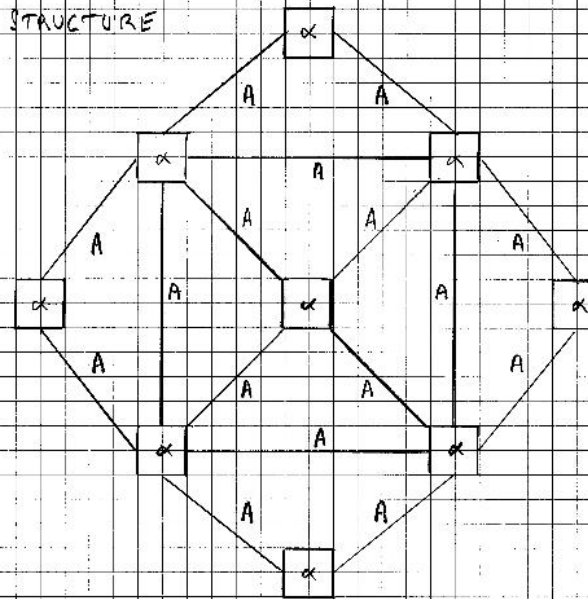
$$E_{\text{B}} = 8E_{\text{B}}\alpha + 4A + 4\text{NPP} = 8E_{\text{B}}\alpha + 8 \cdot 1.25 =$$

$$271.7942 \text{ MeV} \\ + 0.014$$

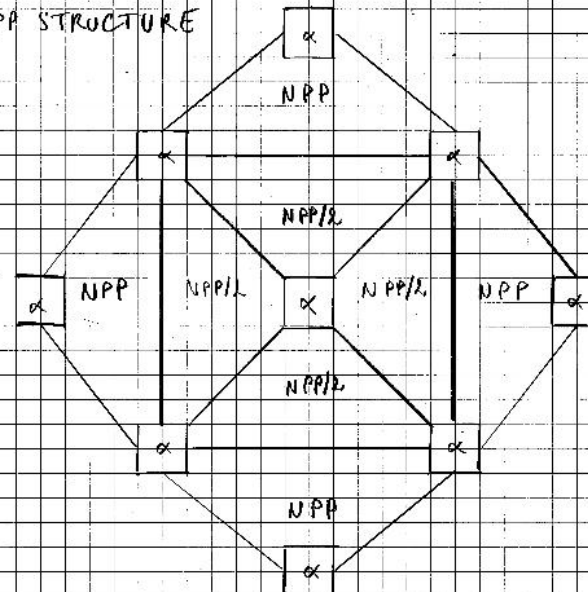
$$A = \text{NM}/2 + \text{NP}/2 = 6.4375$$

$$\text{NPP} = 13.875$$

³⁶
16A 16A STRUCTURE



³⁶
16A 6NPP STRUCTURE



AVERAGE: $8A + 3NPP = 4NN + 4NP + 3NPP$

$^{37}_{17}\text{Ar}$

$g_\alpha, 2N$

E_α in MeV = 327.3426

E_α

g_α
7.5 NN
5.5 NP
3 NPP

2 5 4 9 2 5 0 MeV

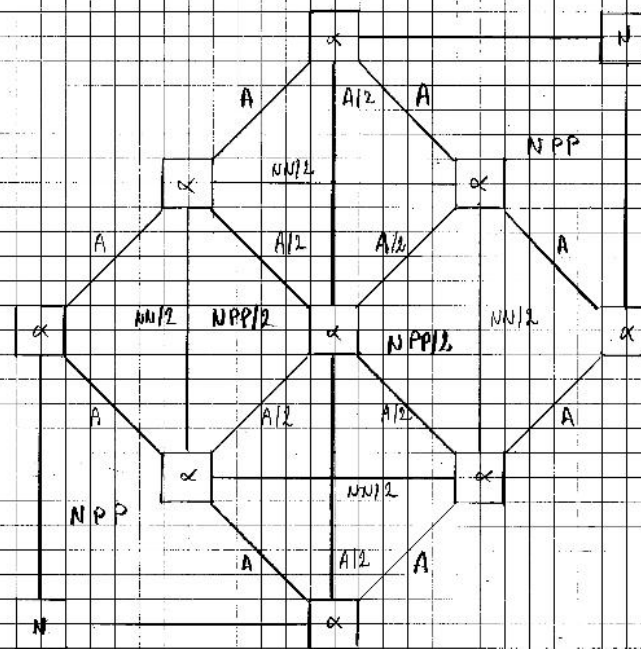
3 7 0 2 3 8

1 2 2 3 5 3

2 3 1 5 4 0

3 2 7 3 3 8 1 MeV

- 0.005



$$E_\alpha = 9 E_\alpha \alpha + 11A + 2NN + 3NPP = 9 E_\alpha \alpha + 130.1875 =$$

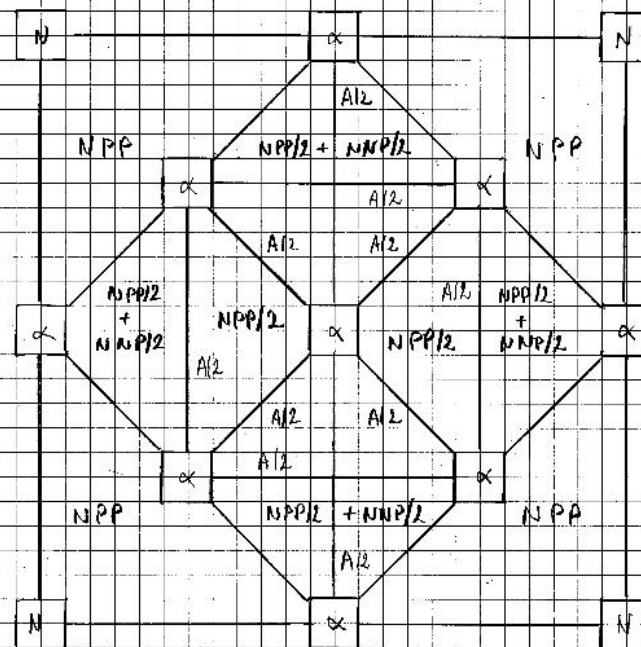
$$327.3381 \text{ MeV}$$

$$- 0.005$$

$$A = NN/2 + NPP/2 = 6.4375 \quad NN = 8.875 \quad NPP = 13.875$$

$$E_B = 9\alpha + 4N \quad E_{\text{kin}} \text{ MeV} = 343.8104$$

E_B	9α	2549250	MeV
	$2.5NN$	123413	
	$2.5NP$	55615	
	$2NNP$	169636	
	$7NNP$	540260	
		3438174	MeV
		+0.007	

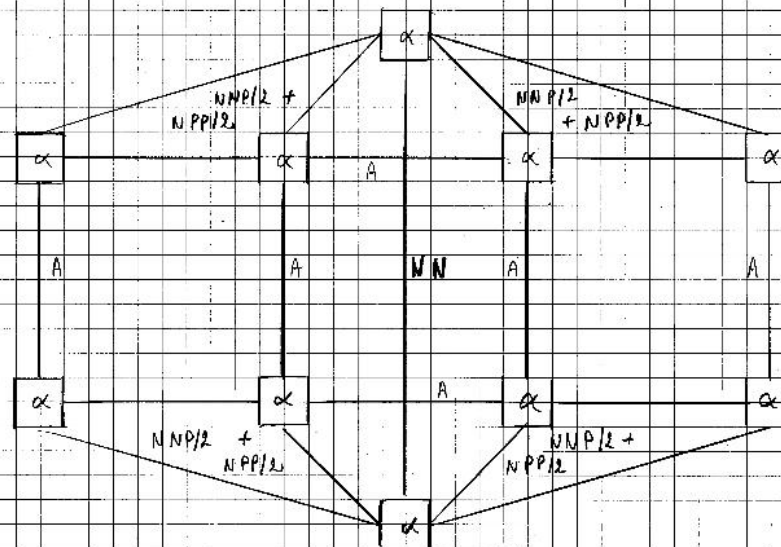


$$E_0 = 9E_B\alpha + 5A + 2NNP + 7NNP = 9E_B\alpha + 159.8125 = 343.8174 \text{ MeV} + 0.007$$

$$A = NNP/2 + NP/2 = 6.4375 \quad NNP = 15.25 \quad NPP = 13.875$$

$^{40}_{20}\text{Ca}$ $^{40}_{20}\text{Ca}$ EB in MeV = 3420522

EB	$^{40}_{20}\text{Ca}$	28	3	25	0	0	MeV
4 NN		19	7	4	6	0	
3 NNP		6	6	7	3	8	
2 NNP		16	9	6	3	6	
2 NPP		15	4	3	6	0	
		34	2	0	6	9	4
							+0.017



$$EB = 10 EB \alpha + 6 A + NN + 2 NNP + 2 NPP =$$

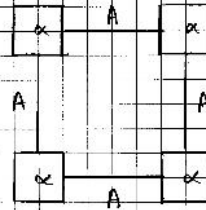
$$10 EB \alpha + 105.75 = 3420694$$

$$+0.017$$

$$A = NN/2 + NPP/2 \quad NN = 8.875 \quad NNP = 15.25 \quad NPP = 13.875$$

FROM D16 TO F19

$^{16}_8\text{O}$

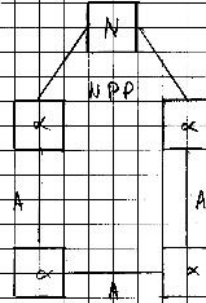


$$E_B = 4E_{B\alpha} + 4A = 4E_{B\alpha} + 25.75 =$$

$$12.7.6222 \text{ MeV} + 0.0103$$

$$A = NMP/2 + NPP/2 = 6.4375$$

$^{16}_8\text{O}$



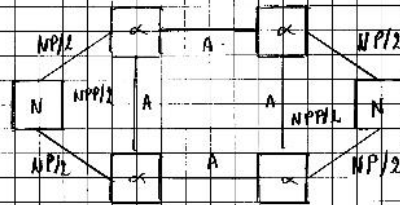
$$E_B = 4E_{B\alpha} + 3A + NPP = 4E_{B\alpha} + 33.1875 =$$

$$13.1.7596 \text{ MeV} - 0.003$$

$$33.1875 = 25.75 + 13.875 - 6.4375$$

$$^{16}_8\text{O} = ^{16}_8\text{O} - A + NPP$$

$^{16}_8\text{O}$



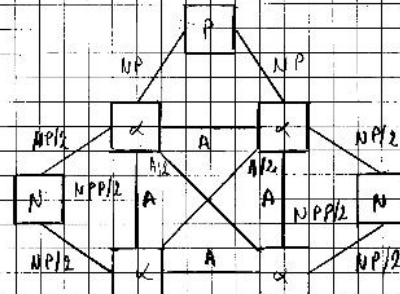
$$E_B = 4E_{B\alpha} + 4A + 2NP + NPP =$$

$$4E_{B\alpha} + 47.625 = 139.7894 \text{ MeV} - 0.018$$

$$47.625 = 33.1875 + 6.4375 + 8$$

$$^{16}_8\text{O} = ^{16}_8\text{O} + A + 2NP = ^{16}_8\text{O} + NPP + 2NP$$

$^{19}_9\text{F}$



$$E_B = 4E_{B\alpha} + 5A + 4NP + NPP =$$

$$4E_{B\alpha} + 62.0625 = 147.8192 \text{ MeV} + 0.018$$

$$62.0625 = 47.625 + 6.4375 + 8$$

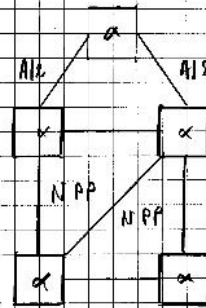
$$^{19}_9\text{F} = ^{19}_9\text{O} + A + 2NP$$

$$D16 = 4A + 4E_{B\alpha}$$

$$F19 = 5A + 4NP + NPP + 4E_{B\alpha}$$

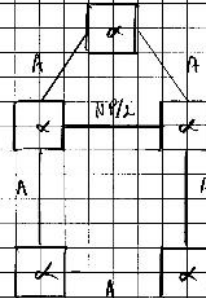
FROM Ne 20 TO Na 23

²⁰Ne



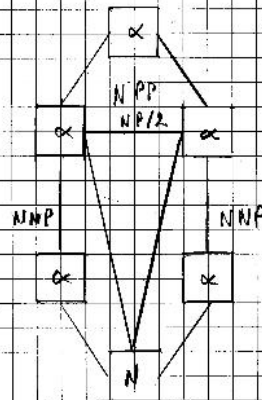
$$E_0 = 5E_{\alpha} + A + 2NPP + 5E_{\alpha} + 34,1875 = 160,6415 \text{ MeV} - 0,003$$

²⁰Ne Variant



$$E_B = 5E_{\alpha} + 5A + 0,5NPP = 5E_{\alpha} + 34,1875 = 160,6401 \text{ MeV} - 0,005$$

²⁴Ne



$$E_A = 5E_{\alpha} + 0,5NPP + 2NPP + NPP = 5E_{\alpha} + 46,375 = 167,4189 \text{ MeV} + 0,013$$

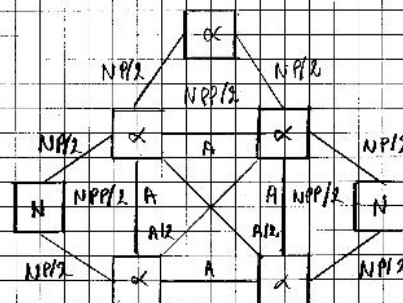
$$46,375 = 34,1875 + 12,1875 = 34,1875 + 6,4375 + 5,75 = 34,1875 + A + 1 + 2 \times 2,375 = 0,5NPP + 6A + 1 + 2 \times 2,375$$

$$2A + 1 = 13,875 = NPP$$

$$2A + 2,375 = 15,85 = NNP$$

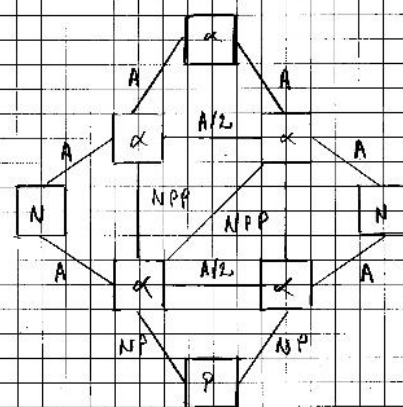
$$E_{24Ne} = 0,5NPP + 2NNP + NPP + 5E_{\alpha}$$

²²Ne



$$\begin{aligned}
 E_B &= 5E_{B\alpha} + 5A + 3NP + 1.5NPP = \\
 5E_{B\alpha} + 65 &= 197.7786 \text{ MeV} \\
 &\quad + 0.009 \\
 65 &= 34.1875 + 30.8125 = \\
 5A + 32.8125 \\
 32.8125 &= (1.5 \times 13.875) + \\
 (3 \times 4) &= 1.5NPP + 3NP \\
 E_{B_{22}\text{Ne}} &= 5A + 1.5NPP + 3NP \\
 &\quad + 5E_{B\alpha}
 \end{aligned}$$

²³Na



$$\begin{aligned}
 E_B &= 5E_{B\alpha} + 7A + 2NP + 2NPP = \\
 5E_{B\alpha} + 80.8125 &= \\
 186.5741 \text{ MeV} \\
 &\quad - 0.010 \\
 80.8125 &= 65 + 15.8125 = \\
 65 + 8.875 + 0.5 \times 13.875 &= \\
 5A + 3NP + NN + 1.5NPP + \\
 0.5NPP &= 7A + 2NP + 2NPP \\
 E_{B_{23}\text{Na}} &= 7A + 2NP + 2NPP + \\
 &\quad 5E_{B\alpha}
 \end{aligned}$$

$$\text{Ne } 20 = 2NPP + A + 5E_{B\alpha}$$

$$\text{Na } 23 = 2NPP + 7A + 2NP + 5E_{B\alpha}$$

5. According to the hypothesis developed above the nuclei of the various elements are constituted out of α particles and other nucleons grouped in order to form sub nuclei bound together by four types of bonds, NN, NP, NNP, NPP.

6. The binding energies of Deuterium (NP), Tritium (NNP), He3 (NPP) and NN are linked together through the following equations:

$$\text{EB Tritium (NNP)} = 2\text{NN} - 1.25/2 \text{ NP}$$

$$\text{EB He3 (NPP)} = \text{NN} + 1.25 \text{ NP}$$
 2 NN being the neutronic part of the binding energy of α particle.

7. One can now start the study of all other nuclei. It will be shown that bonds like α particle ones or H2(NP), H3(NNP), He3(NPP) ones are sufficient to explain the binding energy values of all nuclei, which pleads for the predominance of the α particle in the structure of the nuclei.